



# Can the LHC Orbit Feedback save the Beam in case of a COD failure?

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Thanks a lot for input:

F. Bodry, L. Ceccone, R. Denz,  
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...



## MCB correction magnet circuits

(special insertion CODs not in the scope of this talk)

- General parameters
- Failure scenarios
  - I. Quenching magnet
  - II. Power converter failures

## Orbit Feedback

- Orbit Correction Scheme
- Feedback Controls Layout
- Failsafe & retaliatory action schemes



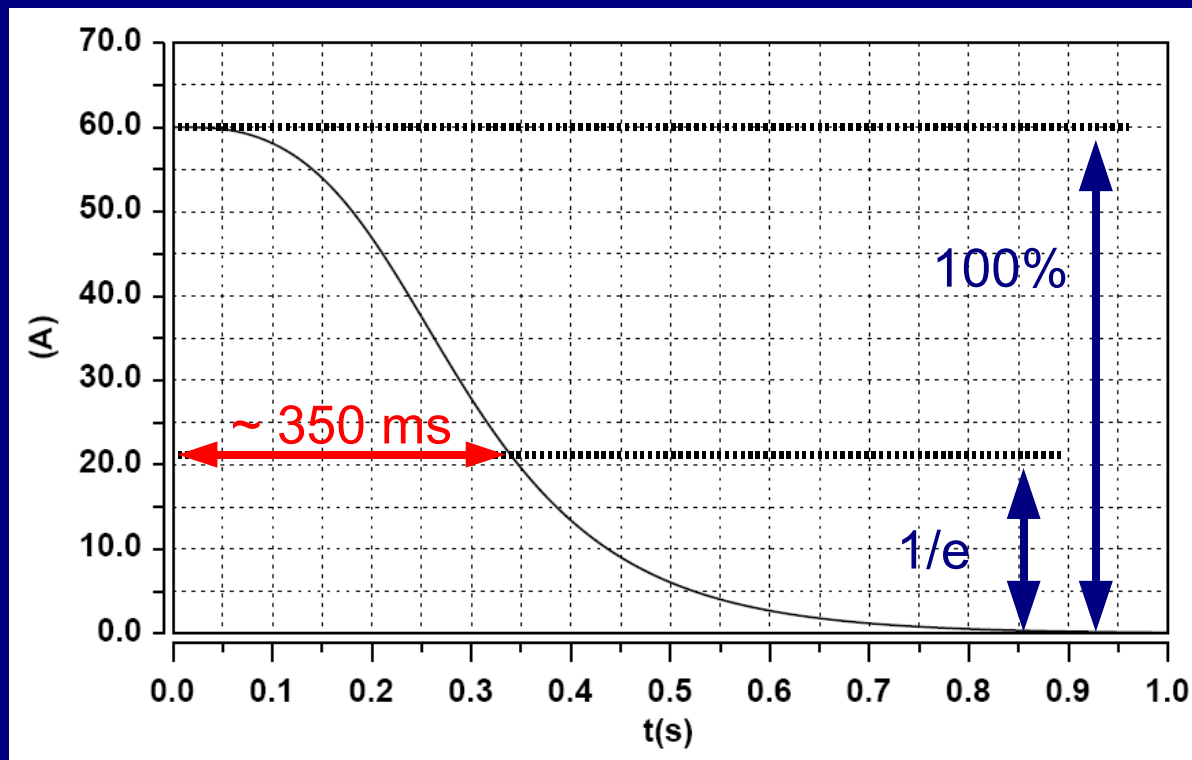
## Main MCB Circuit Parameter

Total 1060 orbit corrector dipole (COD) magnets in the LHC.  
Focus on **752 MCBH(V) magnets** since they have the same design, parameter and powering: (other: insertion CODs (triplets..), warm, different powering ...)

- Part of arc SSS: half-cells **11R**' $x' \leq$  location<sub>MCB</sub>  $\leq$  half-cell **11L**' $x+1'$
- Individually powered by a  $\pm 8V$ ,  $\pm 60A$  converter, rate limit: 0.5 A/s
- inductance L:
  - specified as 7 H  
(see LHC-MSCB-C1-0001, EDMS No. 104193)
  - In EDMS 6.02 H
  - measured: 5.92 H @ 1kHz resp. **5.48 H @ 120 Hz**  
(LHC-MSCB-FR-0001, courtesy Mikko Karpinnen)
- resistance R: **64.5 ... 91.3 m $\Omega$**   
(including intrinsic magnet, cable and current lead resistance)
- Maximum kick  $\delta_{\max}$  ( $\leftrightarrow 55 A$ ) on beam: **1260  $\mu$ rad @ 450 GeV**  
**81  $\mu$ rad @ 7 TeV**
- Maximum kick amplitude : 144 mm @ 450 GeV and 9 mm @ 7 TeV)



- Arc lattice is similar for injection and collision optics. Maximum orbit response in arc ( $\beta = 170$  m)
  - $\Delta x_{\text{BPM}} \approx 100 \mu\text{m}/\mu\text{rad} \cdot \delta_{\text{COD}}$
  - resulting orbit change:  $\sim 1.2 \text{ mm}/0.5 \text{ A @ } 450 \text{ GeV}$   
 $\sim 75 \mu\text{m} / 0.5 \text{ A @ } 7 \text{ TeV}$
- expected **average/max kick**:  $8/30 \mu\text{rad}$   
(compensation of random 0.4 mm r.m.s. quadrupole misalignment)
  - Corresponding current in COD circuit:
    - $\sim 0.4 / 1.3 \text{ A @ } 450 \text{ GeV}$
    - $\sim 5.5 / 20 \text{ A @ } 7 \text{ TeV}$
- one COD failure corresponds to an average/max orbit change of ( $\beta = 170$  m)  
 $\sim 0.9 / 2.9 \text{ mm per COD failure}$ 
  - **breaks collimation tolerances by order of magnitude!**



data courtesy to Felix Rodriguez Mateos

## very fast current decay:

- decay time:  $\tau \sim 0.35 \text{ s}$   $\leftrightarrow$   $\Delta I/\Delta t \sim 16 \text{ (58) A/s @ 7 TeV}$
- after 1 s the current is practically 0 A
- MCB quenches are expected to be rare



## Case II: 60A/8V Power Converter MTBF

- There are 19 documented and in db logged causes for PC failure
- **Mean-Time-Between-Failures (MTBF) expected to be  $\approx 10^5$  hours**

$$P_{failure}/h = 10^{-5} \frac{failures}{hour} \Leftrightarrow \overline{P}_{failure}/h = 1 - 10^{-5} \frac{failures}{hour}$$

- Probability that one of the 752 MCB PC fails during a 10 hour run:

$$P_{failure/10h} = 1 - \left( \overline{P}_{failure} \right)^{752} \approx 7 \text{ percent}$$

- One may expect **one PC/COD failure in 14 cycles**  
(including all CODs: one failure every  $\sim 10$  cycles)
- This may lead to an **beam dump request** due to:
  - increased particle losses e.g. at the collimator.
  - beam position interlock.
- Online compensation is favourable in order to increase the beam availability but not required for protection!

However: actual operational experience may show higher MTBF



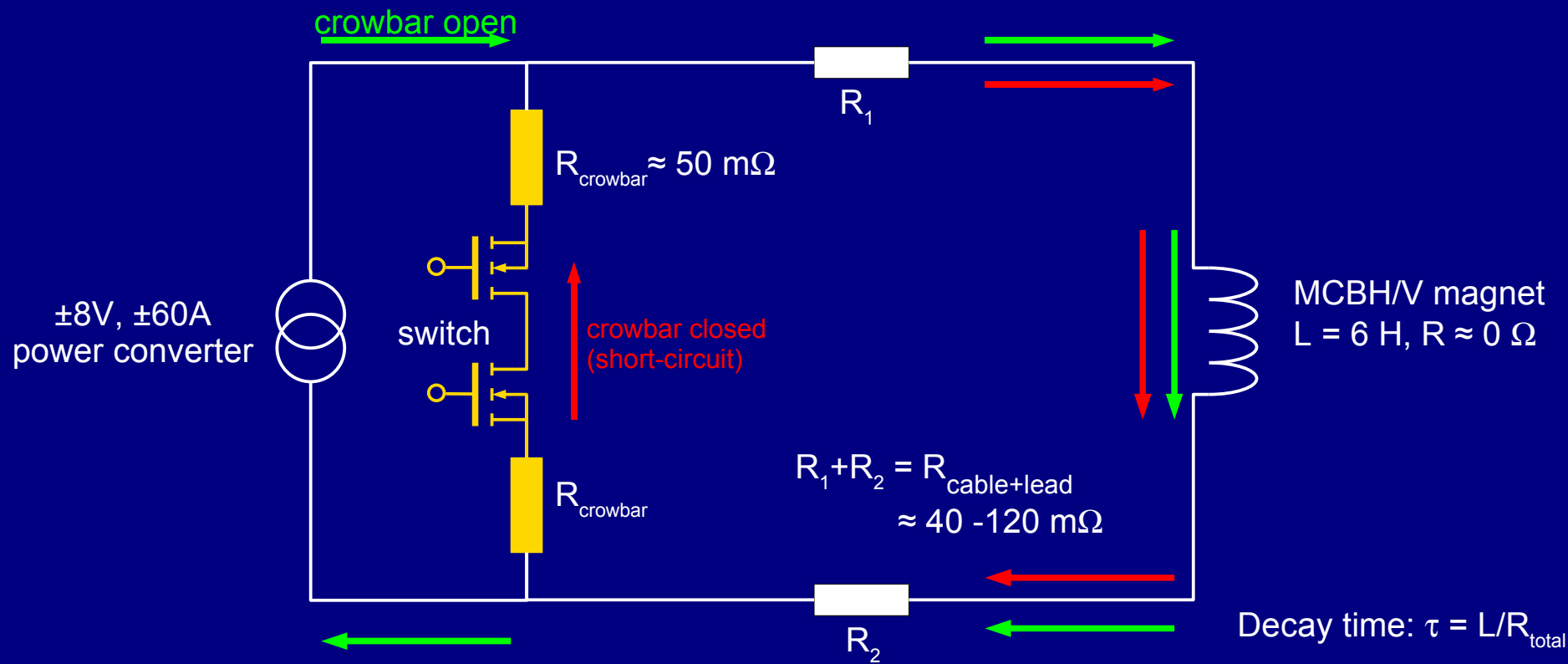
## Case II: “Initial” assumptions about PC failures

- Initial assumption about Power Converter failures:
  - voltage drops to zero
  - COD circuit “slowly” discharges
  - decay time constant given through:  $\tau = L/R$ 
    - Initial inductance: 7 H
    - total circuit resistance (cable and current lead):  $\sim 50 \text{ m}\Omega$
  - $\tau \sim 140 \text{ s}$
- Actual implementation shows however:
  - decay time
    - Initial inductance: 5.5 H
    - total circuit resistance (same as above + crowbar):  $\sim 190 \text{ m}\Omega$
  - $\tau \sim 30 \text{ s}$  (factor five change)

Thanks a lot to AB/PO and AT for the clarification!

# Case II: Crowbar design and Decay Time Constant

In case of a failure, the power converter circuit is shorted in order to prevent spikes and the circuit slowly discharged through a **crowbar**:



-> natural decay time:

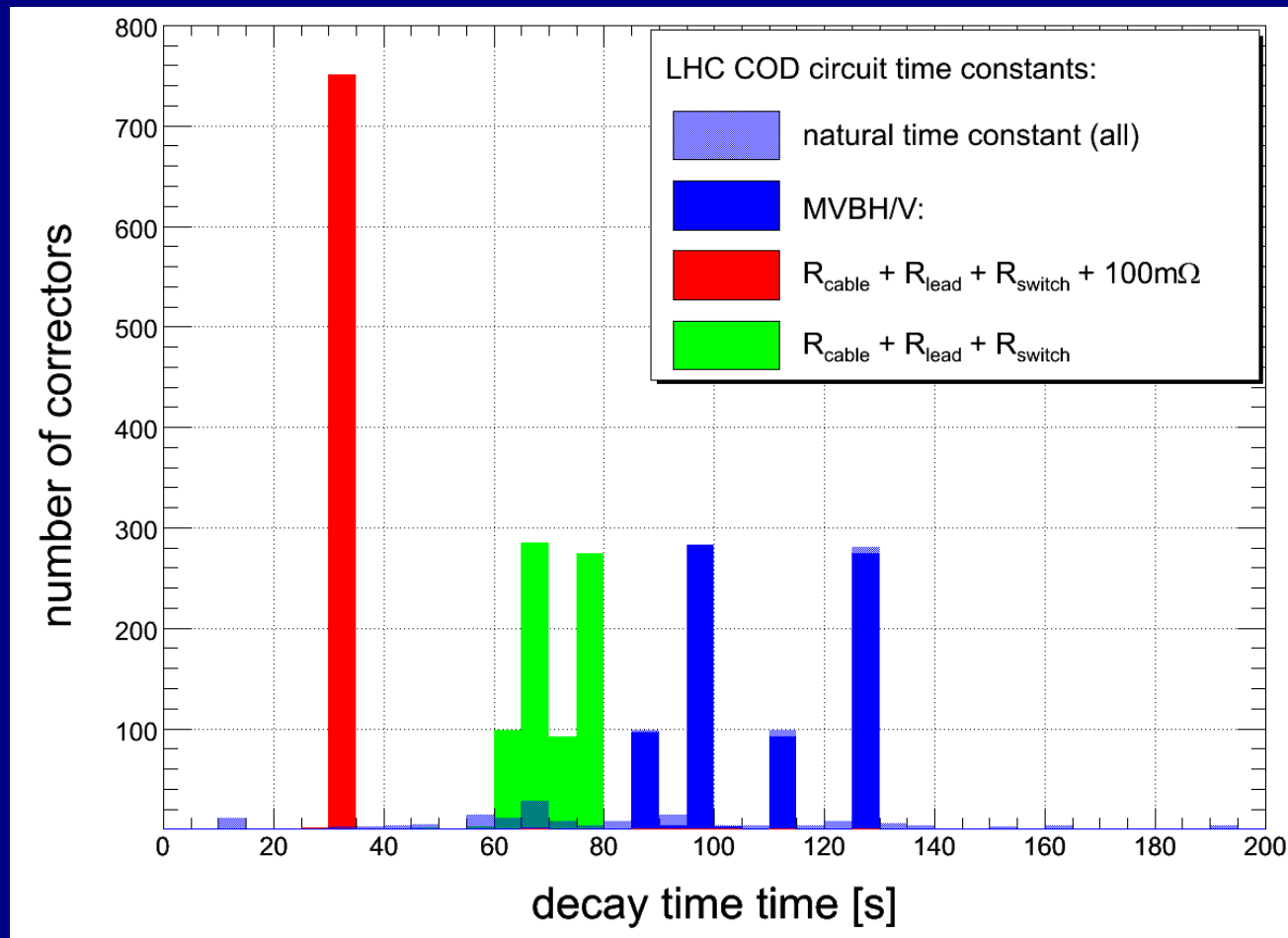
- with initial crowbar design ( $2 \cdot R_{\text{crowbar}}$ ):  $\tau = 30-35 \text{ s}$
- crowbar without additional  $R_{\text{crowbar}}$ :  $\tau = 60-80 \text{ s}$





# Failing power converter – decay time distribution

A more detailed view on the decay time distributions of all COD magnets:



data courtesy to Markus Zerlauth

- most CODS are MCBH/V (752 of 1060 total, 997 registered in the cabling database)



## Additional Crowbar Resistance

- **100 mΩ removal relaxes requirements** on possible fast automated compensation and make even manual interventions (operator) possible should the occasion arise.
- **$R_{\text{crowbar}}$  not required for:**
  - operation
  - protection of magnet
  - protection of power converter
  - protection of or current lead

-> **removal procedures (ECR) under way**

- MCBH(V) failure time constant:

$$\tau = 60-80 \text{ s}$$



## PC/COD failure summary

- About every 140 hours one of the 752 PC/MCB may fail.
- Average orbit drift due to failure: **0.9 mm** (max: 2.9 mm)
- Decay time constants:
  - Quench of MCB: **0.4 s**
  - PC failure: **60 - 80 s** (after crowbar resistor removal)
  - (normal ramping: ~0.75 s @ 450 GeV resp. ~12 s @ 7 TeV)^
- If uncompensated, a PC/COD failure may result in a beam dump request either due to:
  - increased particle loss e.g. in LHC cleaning insertions,
  - exceeded stability at fast beam position interlock system.
- A compensation of those failures is **not required for machine protection** but may **increase the overall availability** of beam in the machine.

- Small perturbations around the reference orbit will be continuously compensated using beam-based alignment through a central global orbit feedback system. The system consists of:

- **1056 beam position monitors**

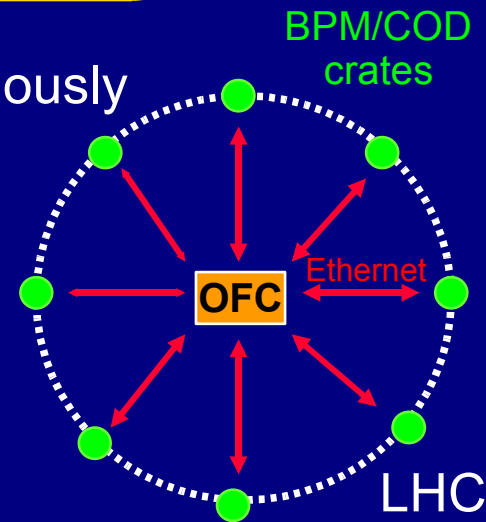
- BPM spacing:  $\Delta\mu_{\text{BPM}} \approx 45^\circ$  (oversampling  $\rightarrow$  robustness!)
- Measure in both planes:  $> 2112$  readings!

- **One Central Orbit Feedback Controller (OFC)**

- Gathers all BPM measurements, computes and sends currents through Ethernet to the PC-Gateways to move beam to its reference position:
  - high numerical and network load on controller front-end computer
  - a rough machine model is sufficient for steering (insensitive to noise and errors)
  - most flexible (especially when the correction scheme has to be changed quickly)
  - easier to commission and debug

- **530 correction dipole magnets/plane** (71% are of type MCBH/V)

- Bandwidth (for small signals):  $f_{\text{bw}} \approx 1\text{-}2$  Hz (defines total feedback limit)



more than 3000 actively involved elements!



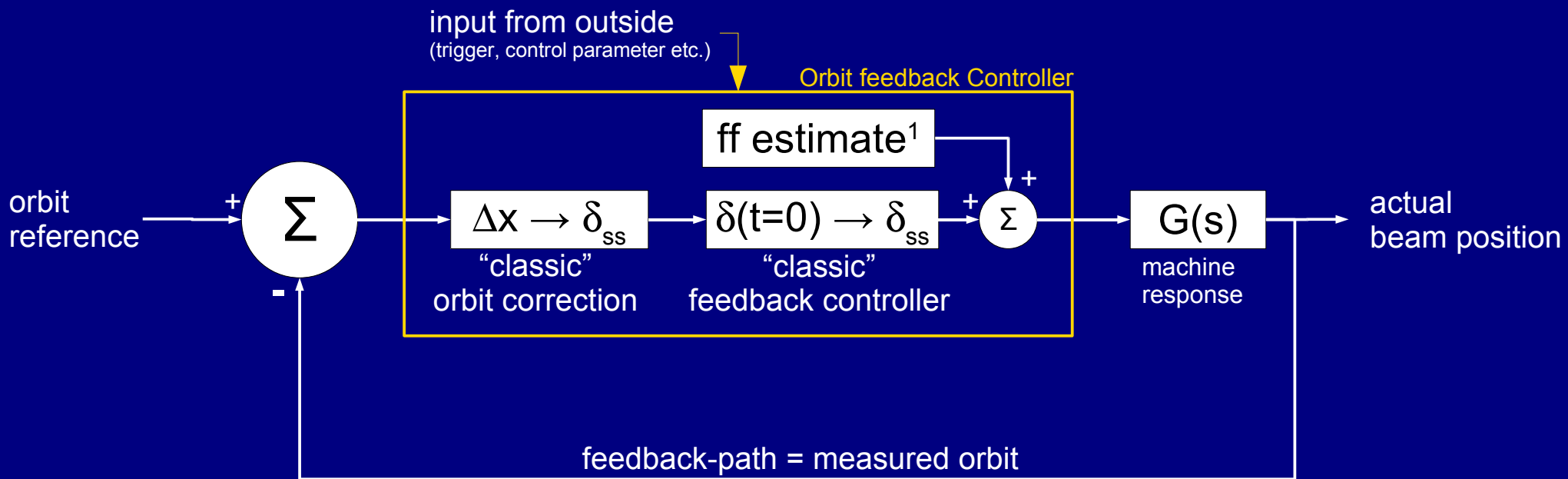
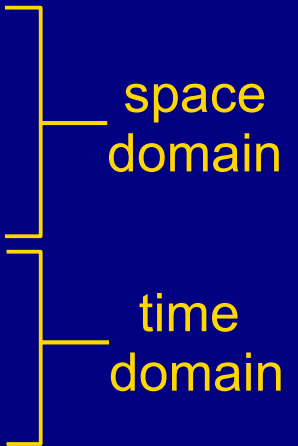
# Orbit Feedback/Feed-Forward Control Scheme

The orbit feedback controller consists of three stages:

1. Compute steady-state corrector settings  $\vec{\delta}_{ss} = (\delta_1, \dots, \delta_n)$  based on measured orbit shift  $\Delta x = (x_1, \dots, x_n)$  that will move the beam to its reference position for  $t \rightarrow \infty$ .

2. Compute a  $\vec{\delta}(t)$  that will enhance the transition  $\vec{\delta}(t=0) \rightarrow \vec{\delta}_{ss}$

3. Feed-forward: anticipate and add deflections  $\vec{\delta}_{ff}$  to compensate changes of well known and properly described<sup>1</sup> sources:

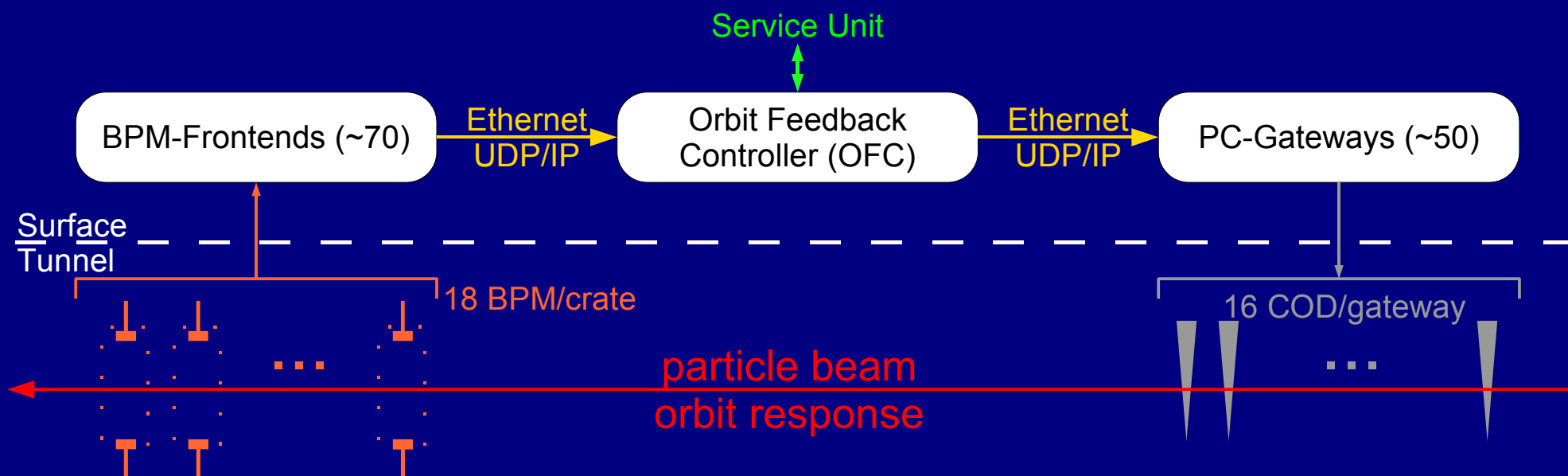


<sup>1</sup> properly described = accurate & fast real-time model of the source



# Normal Orbit Feedback Controller (OFC) Operation

1. reception of the BPM data
2. Difference of measured to reference orbit:  $\Delta x = (\Delta x_1, \dots, \Delta x_m)$
3. **Correction in space domain**: obtain new steady-state COD deflection  $\delta_{ss} = (\delta_1, \dots, \delta_n)$  through **simple matrix multiplication**:  $\delta_{ss} = R^{-1} \Delta x$   
( $R^{-1}$ : SVD inverted orbit response matrix)
4. Conversion of the deflections angles into COD currents
5. **Correction in time domain: PID + Smith-Predictor**
6. **Add feed-forward currents**
7. Verify and send the new settings to PC gateways
8. (wait for next external trigger)





## Anticipated Orbit Feedback Failure Scenarios

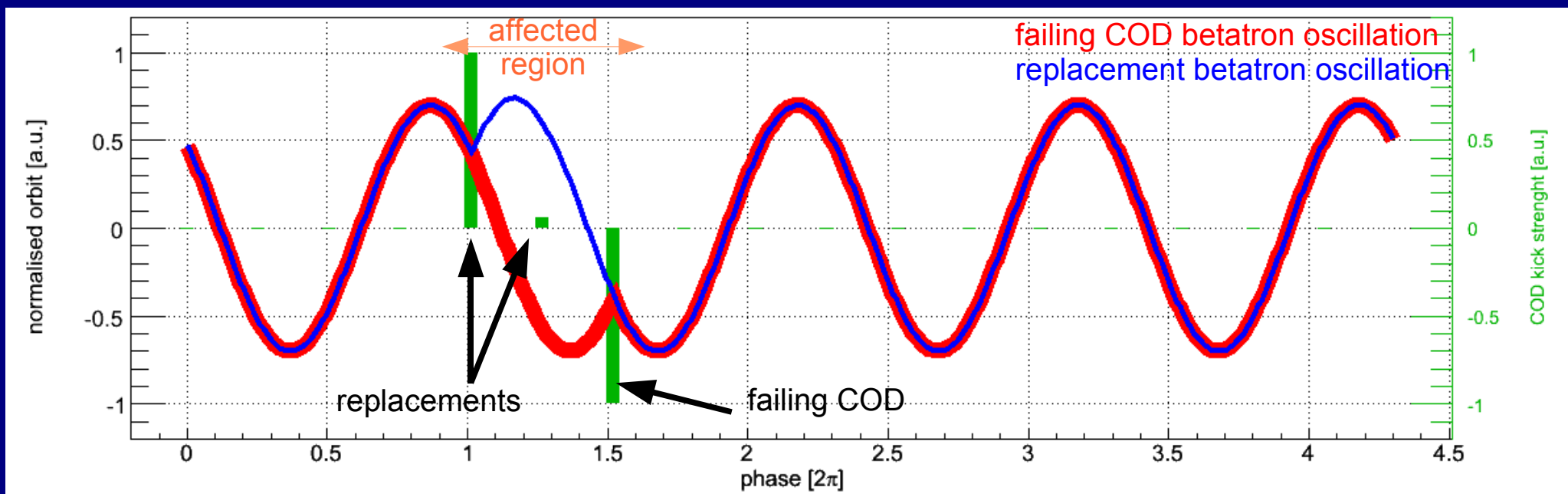
- It is nearly guaranteed that one or more of the  $> 3000$  in the feedback involved elements will fail while beam is in the machine.
- Failure scenarios for which retaliatory actions exist:
  - A: Central feedback controller
    - total unavailability → up to now no real hot-spare policy (“You'll have to wait till it's rebooted or the controller restarted”)
  - B: BPM failures
    - Case 1: false readings
    - Case 2: partial unavailability
      - spikes, acquisition errors, detected false readings
    - Case 3: total unavailability
      - electronics, power cut, front-end software, lasting 'case 2' failures
  - C: COD failures
    - Case I: quench
    - Case II: power converter failure
    - Case III: power converter gateway failure



- What happens when a BPM or COD becomes temporarily unavailable?
  - **If detected: ZOH and on-the-fly recalculation of the SVD matrix:**
    - Zero-Order-Holder (**ZOH**) of BPM position and COD current
      - orbit position changes only slightly during most operational phases. anticipated drifts (compatible with most stability requirements):
        - ground motion:  $\ll 10 \mu\text{m/s}$
        - squeeze  $\ll 30 \mu\text{m/s}$
    - In parallel:
      - compute new inverse SVD matrix without bogus BPM/COD (~ 15s)
      - Swap active matrix once finished recalculation
  - **No need to stop feedback while recalculating the new inverse matrix!**
    - **Feedback requirements preserved in most parts of the rings**
    - **Only a small area and likely only one ring is affected**



- What can the feedback do in case of a fast COD drop-out?
  - The effect of the failing COD can for sufficiently long (spacial) distances be compensated and replaced through a pattern of correctors:



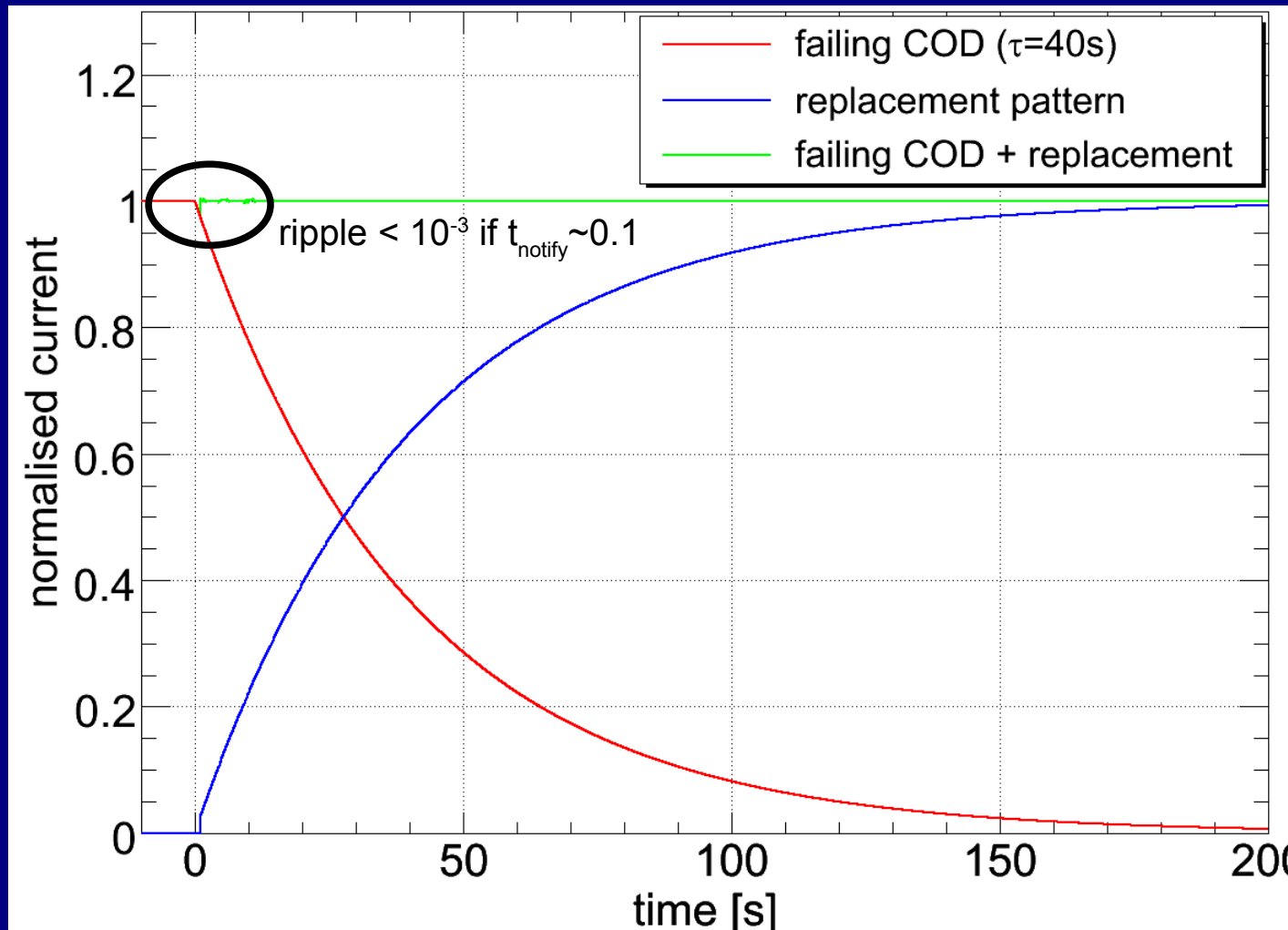
- Though a minimum two correctors are required, it is **favourable to spread replacement pattern over more CODs** (e.g. use intrinsic SVD property):
  - smaller maximum currents in the pattern
    - avoid hitting individual COD's maximum current
    - single COD failure becomes less critical
    - **faster reaction time** since  $\max \Delta I / \Delta t = n \cdot 0.5 \text{ A/s}$   
(total speed determined by time required to reach pattern's largest current)



## Backup Scenario II – Controller Procedure

- What can the feedback do in case of a fast COD drop-out?
  - **If detected:** Send the pre-calculated replacement pattern instead of the failing COD's  $\Delta I(t)$  through the feed-forward path :
    - Procedure for the first few (milli-) seconds:
      - Mark COD
      - Temporarily disable BPMs (ZOH) in the adjoining region (in order to be insensitive to the spacial transient)
      - Continue normal correction
      - Replace bogus  $\Delta I(t)$  with R-pattern  
only intermediate region affected
    - In parallel:
      - compute new inverse SVD matrix without bogus COD ( $\sim 15s/COD$ )
      - Swap active matrix once finished recalculation
      - recalculate new anticipatory R-patterns ( $\sim 2$  hours/all CODs)
  - The feed-forward action is transparent for large spacial distances
  - The effectiveness depends on the notify- and feedback-delay.

- It is important that the delay  $t_{\text{notify}}$  till the OFC is notified is short and constant.



- The length of  $t_{\text{notify}}$  essentially determines the performance and size of the ripple (more than actual feedback frequency)
  - ripple  $\sim \exp(-t_{\text{notify}}/\tau)$



Proposed feed-forward scheme yields good compensation if  $t_{\text{notify}}$  is short:

- $t_{\text{notify}} \sim 0.1 \text{ s} \rightarrow \text{ripple} < 10^{-3}$
- $t_{\text{notify}} \sim 1 \text{ s} \rightarrow \text{ripple} \sim 3\%$
- (quenching COD compensation seems feasible (@10 Hz) if  $t_{\text{notify}}$  is sufficiently short)

Small comment on compensation of other CODs (~300/1056 total):

- CODs around the dispersion suppressor :
  - similar to MCB case
  - but: different time constants!
- Compensation of other magnets is rather difficult:
  - common (warm/cold) CODs in insertion:
    - affect both beams!
    - failure causes serious beam separation in IP that barely can be compensated using neighbouring magnets (too few)
  - warm magnets in IR3 and IR5:
    - decay time comparable to quenching cold magnets
    - would require small  $t_{\text{notify}} < 0.1 \text{ s}$  delay (feasibility!?)



## Conclusions

- About every 140 hours (14<sup>th</sup> fill) one of the 752 PC/MCB may fail with beam.
- Average (max) orbit drift due to COD failure: 0.9 mm (2.9 mm)
  - Decay time constants:
    - Quench of MCB: 0.4 s
    - PC failure: 60 – 80 s  
(after the two 50 mΩ resistances in crowbar are removed)
- Uncompensated, PC/COD failure may result in a beam dump request.
- The LHC OFC can take actions and save the beam if:
  - active link between PC-Gateways and Controller present
  - notified within the first second of the PC/COD failure
- A capture of those failures is **not required for machine protection** but may **increase the overall availability** of beam in the machine.