## Inelastic deexcitation of the Hoyle State <br> L. G. Sobotka



## Big-Bang Nucleosynthesis Big Dud (as far as PT)

NOTE:
$\mathrm{n}, \mathrm{t}$ and ${ }^{7} \mathrm{Be}$ are (beta) unstable but have lifetimes >> $\tau_{\text {BBN }}$
Only p, d, ${ }^{3} \mathrm{He},{ }^{4} \mathrm{He}$ (trace Li) $\rightarrow \mathrm{t} \gg \tau_{\text {BBN }}$


## ALSO NOTE:

The PT starts at 1 and not 0


BECAUSE the $n$ is unstable, i.e. $M_{n}>M_{p}+M_{e^{-}}+M_{v}$ How does nature produce free n's after BB?

## With only a few exceptions:

stars, either in life or death, produce the rest of PT
What our sun does ( $\sim 85 \%$ truth)
$2\left\{p+p \quad \rightarrow d+e^{+}+v+Q_{1}\right\}$
$2\left\{p+d \quad \rightarrow{ }^{3} \mathrm{He} \quad+Q_{2}\right\}$
With CNO process $\rightarrow$
allows for ${ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ NMR
With ${ }^{13} \mathrm{C} \ldots . . \rightarrow$ neutrons via
${ }^{13} \mathrm{C}+\alpha \rightarrow{ }^{17} \mathrm{O} \rightarrow{ }^{16} \mathrm{O}+\mathrm{n}$
these are the n's for s-process $\left\{{ }^{3} \mathrm{He}+{ }^{3} \mathrm{He} \rightarrow{ }^{4} \mathrm{He}+2 \mathrm{p}+\mathrm{Q}_{3}\right\}$
$4 \mathrm{r} \quad \rightarrow{ }^{4} \mathrm{He}+2 \mathrm{e}^{+}+2 \mathrm{v}+\mathrm{Q}_{\text {tot }}$
$\mathrm{Q}_{\text {tot }}=2 \mathrm{Q}_{1}+2 \mathrm{Q}_{2}+\mathrm{Q}_{3}=27.6 \mathrm{MeV}$

To repair part of the lie ...... The sun also uses ${ }^{12} \mathrm{C}$ to catalyze The "CNO process" that does EXACTLY the same thing, i.e. $4 p \rightarrow{ }^{4} \mathrm{He}+2 \mathrm{e}^{+}+2 v+\mathrm{Q}_{\text {tot }}$ but ALSO Gives us ${ }^{13} \mathrm{C} \&{ }^{14,15} \mathrm{~N}$

Nuclei heavier than Fe come (mostly) from slow and fast n-capture processes


BUT where do the n's (post BBN) for s (low) and r (apid) n -capture come from?


Why: these resonances are doorways BUT so - so much more!


## When/Where elements are made



Hoyle state - doorway to Periodic Table

$$
\begin{aligned}
&(\alpha+\alpha)+\alpha \leftrightarrows{ }^{8} \mathrm{Be}+\alpha \longleftrightarrow \\
&(5.57 \mathrm{ev} \rightarrow 118 \mathrm{as})
\end{aligned}{ }^{12} \mathrm{C}_{\text {Hoyle }}{ }_{(9.3 \mathrm{ev} \rightarrow 71 \mathrm{as})}
$$



EM decay 4/10,000
$\rightarrow$ Hoyle's mostly just fall apart $\rightarrow$ The measly drips $\rightarrow$ P.T.

Because 〔dynamical $\rightarrow$ there is an $\left[{ }^{8} \mathrm{Be}\right]_{\mathrm{eq}} \&\left[{ }^{12} \mathrm{C}_{\mathrm{Hoyle}}\right]_{\mathrm{eq}}$

## Review and || route


J. W. Truran \& B.-Z. Kozlovsky, Ap. J. 158,1021 (1969).

Idea: microscopic reversibility \& detect " $Y$ "

$$
{ }^{12} \mathrm{C}^{*} \longleftrightarrow \alpha+{ }^{8} \mathrm{Be} \leftrightarrow \alpha+2 \alpha
$$



# IDEA: Detailed Balance \& 

 rather than ( $n, n$ ') do ( $n, " Y$ ")
## Detailed Balance

In equilibrium each elementary process is in equilibrium with its reverse process

1. At equilibrium the one-way rates must be equal $\boldsymbol{\rightarrow}=\boldsymbol{\epsilon}$

$$
R_{\rightarrow}\left[1 / \mathrm{cm}^{3} s\right]=N_{n} N_{12 C}<\sigma_{\rightarrow} v>_{M B}=N_{n^{\prime}} N_{12 C^{*}}<\sigma_{\leftarrow} v>_{M B}=R_{\leftarrow}\left[1 / \mathrm{cm}^{3} s\right]
$$

2. The forward/backward Maxwellian averaged cross section ratio is just equal to the number ratio ( or $\mathrm{K}_{\text {eq }}$ ) and thus equal to a partition function ratio.
$\rightarrow$ The neutron partition functions drop out as $\mathrm{T} \& \mathrm{~m}$ are the same and all that remains are the spin degeneracy ratio and the difference in energies.

$$
\frac{\left\langle\sigma_{\leftarrow} v\right\rangle_{M B}}{\left\langle\sigma_{\rightarrow} v\right\rangle_{M B}}=\frac{N_{n} N_{12 C}}{N_{n^{\prime}} N_{12 C^{*}}}=\frac{q_{n} q_{12 C}}{q_{n^{\prime}} q_{12 C^{*}}}=\left(\frac{q_{n}}{q_{n^{\prime}}}\right)\left[\frac{q_{12 C}}{q_{12 C^{*}}}\right]=(1)\left[\frac{2 I+1}{2 I^{\prime}+1} e^{-\Delta E / k T}\right]
$$

3. BTW, the Maxwellian averaged cross sections are just.....

$$
\langle\sigma v\rangle_{M B}=(8 / \pi \mu)^{1 / 2}\left(\frac{1}{k T}\right)^{3 / 2 \infty} \int_{0}^{\infty} E \sigma(E) e^{-E / k T} d E
$$


Stripper foil at up to 4MV (variable)
$\mathrm{D}_{2}$ gas cell

$$
\mathrm{d}(\mathrm{~d}, \mathrm{n})^{3} \mathrm{He} ; \mathrm{Q}=3.27 \mathrm{MeV}
$$

## TAMU's TPC (TexAT) moved to Ohio U. $E A L \rightarrow$ to detect " $Y$ " 's <br> from ${ }^{12} \mathrm{C}_{\mathrm{gs}}\left(\mathrm{n}\right.$, " $Y$ ") ${ }^{12} \mathrm{C}_{\text {Hoyle }}$

$\nearrow$ terminal $V: / E_{d} \& / E_{n}$.

Have to measure Hoyle decays Have to measure how many n's

AT-TPC $\mathrm{CO}_{2}$

Tex-AT
Grisha's "toy"


$\mathrm{CO}_{2}$


$10^{8} \mathrm{\gamma} / \mathrm{s}$ or $10^{6} \mathrm{n} / \mathrm{s}$ $\gamma$ 's circularly polarised

$\sigma_{\gamma} \approx 130 \mathrm{keV}, \sigma_{\mathrm{n}} \approx 300 \mathrm{keV}$,



o

${ }^{12} \mathrm{C}$ or ${ }^{16} \mathrm{O}$

12

$12$
o
${ }^{4} \mathrm{He}$
${ }^{13} \mathrm{C}$

$$
12
$$






(Repeller) Cathode


$12$


## Avalanche grids /micro patterned anode



## Side view



## Signal $\uparrow$

Intensity

Time




## Signal $\uparrow$ <br> Intensity




Electronic time Evolving "picture"






Combining the 2D image and the 1D time projection $\rightarrow$ 3D path of the track - angular distributions







Jack Bishop's brilliant analysis




Figure 4: ${ }^{12} \mathrm{C}\left(n, n_{0}\right)$ cross section (points) overlaid with multi-channel R-Matrix fit in red.


Figure ${ }^{5} \cdot{ }^{12} \mathrm{C}(\mathrm{n}, \mathrm{n}$.) armose section (rointe) owerlaid with multi-channel R-Matrix fit in red


Figure 6: ${ }^{12} \mathrm{C}\left(n, n_{2}\right)$ cross section from this work (points) overlaid with multi-channel R-Matrix fit in red.


Figure 7: ${ }^{12} \mathrm{C}\left(n, c_{0}\right)$ cross section (points) overlaid with multi-channel R-Matrix fit in red.

Table 1: Expited atades in ${ }^{13} \mathrm{C}$ included in the R-Matrix fit in the estrophysical range of intereat

| Spin parity | $E_{x}(\mathrm{MeV})$ | $\Gamma_{\mathrm{n0}}(\mathrm{keV})$ | $\Gamma_{\mathrm{m} 1}(\mathrm{keV})$ | $\Gamma_{\mathrm{n} 2}(\mathrm{keV})$ | $\Gamma_{\mathrm{mo}}(\mathrm{keV})$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\frac{1}{2}^{+}$ | 13.28 | 0.2 | 2.7 | 104.8 | 15.5 |
| $\frac{3}{3}$ | 13.28 | 146.5 | 71.6 | 44.7 | 291.2 |
| $\frac{3}{2}-$ | 13.57 | 54 | 8.1 | 15.4 | 366.1 |
| $\frac{\frac{7}{2}^{-}}{}$ | 13.76 | 401.9 | 106.6 | 0.7 | 201.8 |

## The bottom line .....to get amplification

 need: high [n] \& HOT

Neutron-upscattering enhancement of the triple-alpha process
J. Bishop*, ${ }^{1}$ C.E. Parker, ${ }^{1}$ G.V. Rogachev, ${ }^{1,2,3}$ S. Ahn ${ }^{\dagger},{ }^{1}$ E. Koshchiy, ${ }^{1}$ K. Brandenburg, ${ }^{4}$ C.R. Brune, ${ }^{4}$ R.J. Charity, ${ }^{5}$ J. Derkin, ${ }^{4}$ N. Dronchi, ${ }^{6}$ G. Hamad, ${ }^{4}$ Y. Jones-Alberty, ${ }^{4}$ Tz. Kokalova, ${ }^{7}$ T.N. Massey, ${ }^{4}$ Z. Meisel, ${ }^{4}$ E.V. Ohstrom, ${ }^{6}$ S.N. Paneru, ${ }^{4}$ E.C. Pollaco, ${ }^{8}$ M. Saxena, ${ }^{4}$ N. Singh, ${ }^{4}$ R. Smith, ${ }^{9}$ L.G. Sobotka, ${ }^{5,6,10}$ D. Soltesz, ${ }^{4}$ S.K. Subedi, ${ }^{4}$ A.V. Voinov, ${ }^{4}$ J. Warren, ${ }^{4}$ and C. Wheldon ${ }^{7}$

## Is ${ }^{12} \mathrm{C}$ - the seed for the PT made by <br> inelastic upscattering or EM decay?

?? (unlikely upscattering...) ??

# But now astro folks who simulate stellar life and death (spirals) have the cross sections they need. 

Note: not yet plumbed the ${ }^{13} \mathrm{C}(\alpha, \mathrm{n})^{16} \mathrm{O}$

## Nature

