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High
Luminosity
LHC

Machine Protection against Very Fast Crab Cavity Failures

MPP

Tobias Baer

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Acknowledgement: F. Burkart, R. Calaga, E. Jensen, R. de Maria, S. Fartoukh, R. Tomas, J. Tuckmantel, J. Wenninger, F. Zimmermann.

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1. Introduction and Analytical Approach
2. Static Failure Simulations (MAD-X)
3. Dynamic Failure Simulations (MAD-X)
4. Mitigation and Conclusion

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1. Introduction and Analytical Approach

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4. Mitigation and Conclusion

KEK Crab Cavity Quench

- Full decay of crab cavity in $\approx 100\mu\text{s}$ (≈ 1 turn).
- Oscillations of Crab Cavity phase (up to 50° in $50\mu\text{s}$).



K. Nakanishi et al.,
IPAC'10, WEPEC022.

Analytical Approach

- Horizontal kick by crab cavity:

$$x'_{cc}(z) = -\frac{q \cdot V}{E} \cdot \sin\left(\Phi + \frac{\omega \cdot z}{c}\right)$$

- Optimal voltage to compensate crossing angle (local scheme):

$$V_0 = \frac{c \cdot E \cdot \tan\left(\frac{\theta}{2}\right)}{q \cdot \omega \cdot \sqrt{\beta^* \beta_u} \cdot \sin(\Delta\varphi) \cdot n_{cc}}$$

- Optimal voltage for compensating cavities:

$$\tilde{V}_0 = -\sqrt{\frac{\beta_u}{\beta_d}} \cdot \cos(\Delta\varphi_{cc}) \cdot V_0$$

ideally 180°

q	= particle charge
E	= particle Energy (7 TeV)
V	= voltage of crab cavity
Φ	= phase of crab cavity (0°)
θ	= full crossing angle (590 μ rad)
$\Delta\varphi$	= phase advance CC \rightarrow IP ($\approx 90^\circ$)
$\Delta\varphi_{cc}$	= phase advance $CC_u \rightarrow CC_d$ (181.4°)
ω	= angular frequency of CC ($2\pi \cdot 400$ MHz)
z	= longitudinal position of particle
c	= speed of light
β^*	= beta function at the IP
$\beta_{u,d}$	= beta function at upstream/ downstream CC.
n_{cc}	= number of CCs per beam on either side of IP.

Analytical Approach

- Maximal transverse displacement by crab cavity:
(assuming optimal voltage to compensate crossing angle)

$$\frac{\bar{x}_{cc}(z)}{\sigma_x} = - \frac{c \cdot \tan\left(\frac{\Theta}{2}\right)}{\underbrace{\omega \cdot \sigma_{x,IP} \cdot \sin(\Delta\varphi) \cdot n_{cc}}_{= 4.05}} \cdot \sin\left(\Phi + \frac{\omega \cdot z}{c}\right)$$

= 4.05 (upgrade optics, $\beta^* = 15\text{cm}$, $n_{cc}=1$)

T. Baer et. al, IPAC'11, TUPZ009

	upgrade optics	nominal optics
Maximal displacement with $\sin\left(\Phi + \frac{\omega \cdot z}{c}\right) = 1$ $\bar{x}_{cc} \approx$	$4\sigma_x$	$1\sigma_x$
For $z = 7.55\text{cm}$ ($= 1 \cdot \sigma_z$): $\bar{x}_{cc}(z = 7.55\text{cm}) \approx$	$2.36\sigma_x$	$0.60\sigma_x$

Failure Scenarios

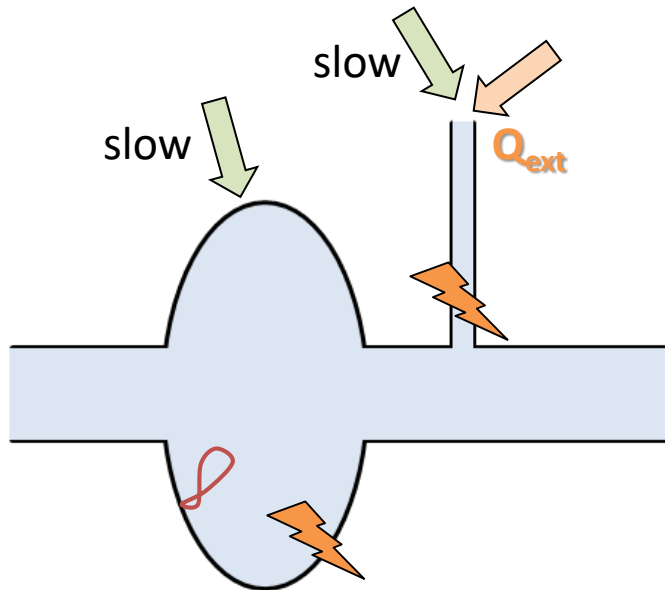
Slow (external) failures

- Power cut
- Thermal problems
- Mechanical changes (tuner problem)

Fast external failures

- Control-logics failure
- Operational failure
- Equipment failure
- ...

Timescale determined by Q_{ext}



Internal failures

- Arc in coupler
- Multipacting
- Cavity quench (?)

Timescales < 1 turn possible.

cf. J. Tuckmantel, „Failure Scenarios and Mitigation“, LHC-CC10

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Failure Simulations

- Crab cavity **local scheme IP5**, beam 1.
- **No splitting of crab cavity kicks.**
- Optics:
 - **SLHCV3.1b**, $\beta^* = 0.15\text{m}$ (IP1/5), $\beta^* = 10.0\text{m}$ (IP2/8), $\Theta = 590\mu\text{rad}$.
 - Nominal optics, $\beta^* = 0.55\text{m}$ (IP1/5), $\beta^* = 10.0\text{m}$ (IP2/8), $\Theta = 285\mu\text{rad}$.
- Instantaneous failure of single crab cavity, constant (e.g. at $V=0$) afterwards.
- Tracking for ≈ 20 turns.

Voltage Failure of CC.R5.B1

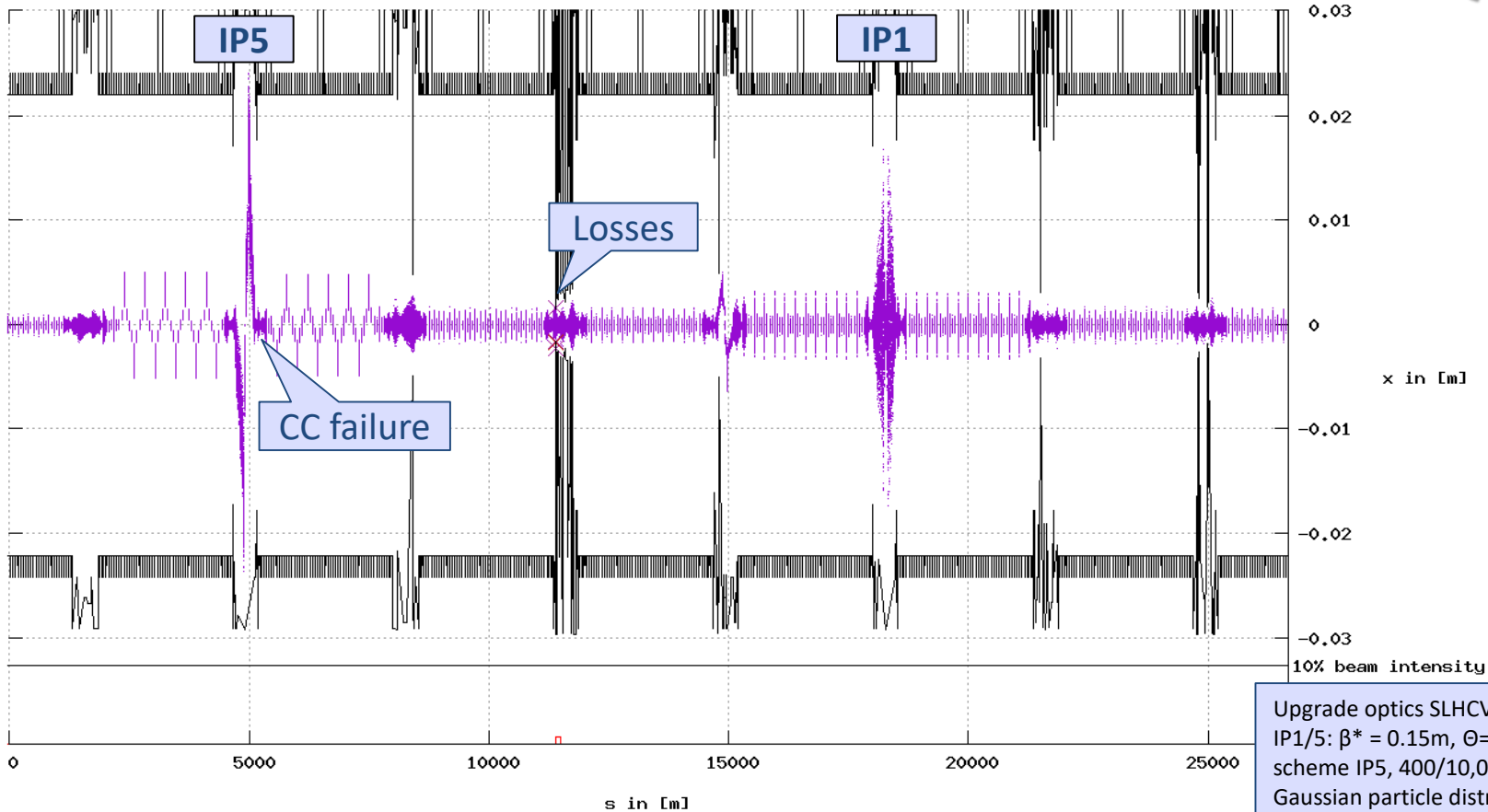
Voltage of Crab.R5.B1 = 0.

Beam losses mainly at **TCP.C6L7.B1**.

20101214-133413-v102_ft=7_NCC=1_VR5=1_pL5=0_o1_aper

turn 7

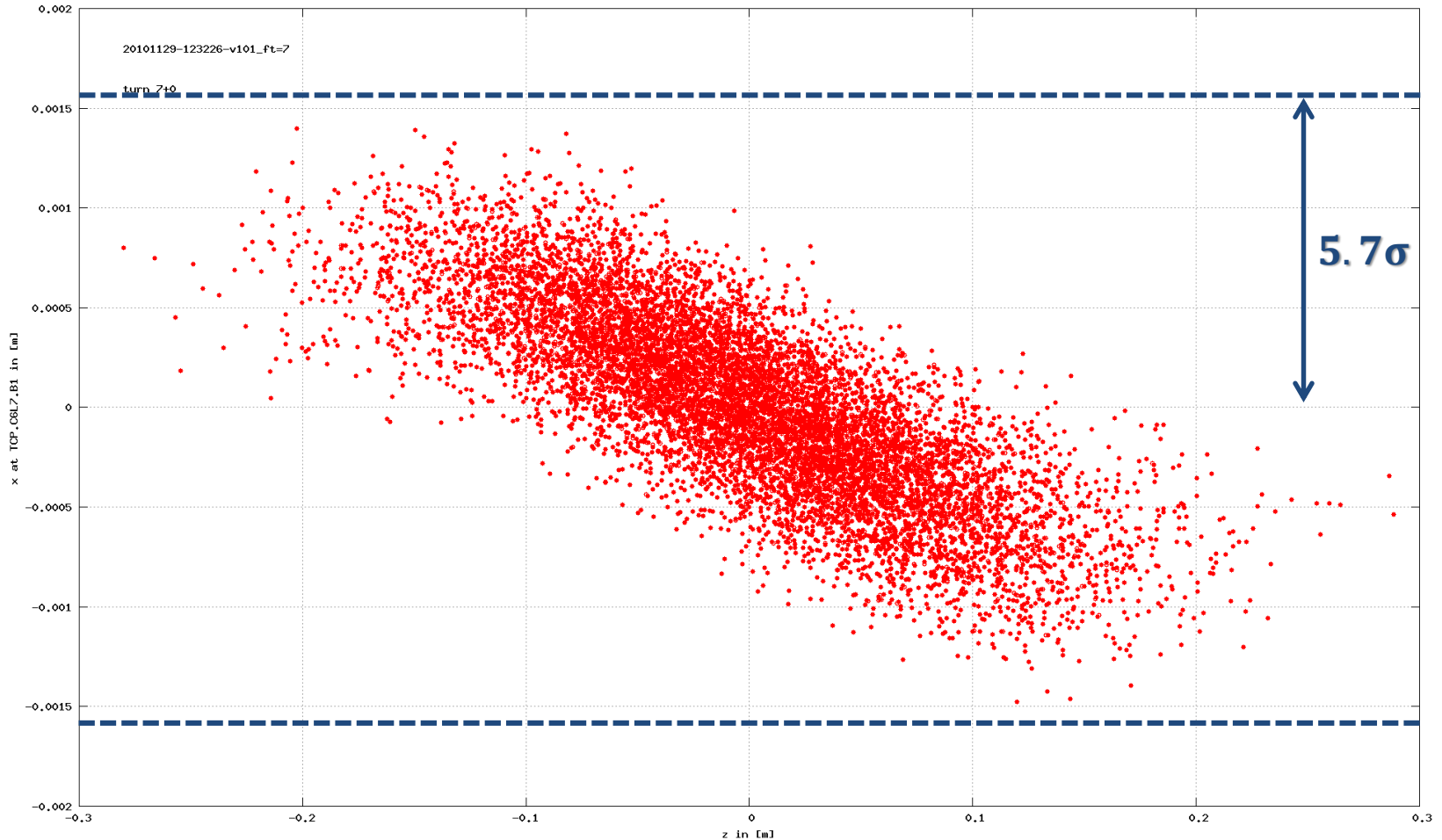
For Illustration



Upgrade optics SLHCV3.0 4444_thin,
IP1/5: $\beta^* = 0.15\text{m}$, $\Theta = 580\mu\text{rad}$, CC Local
scheme IP5, 400/10,000 particles,
Gaussian particle distribution
 $\epsilon_n = 3.75\mu\text{m} \cdot \text{rad}$, $\sigma_z = 7.55\text{cm}$.

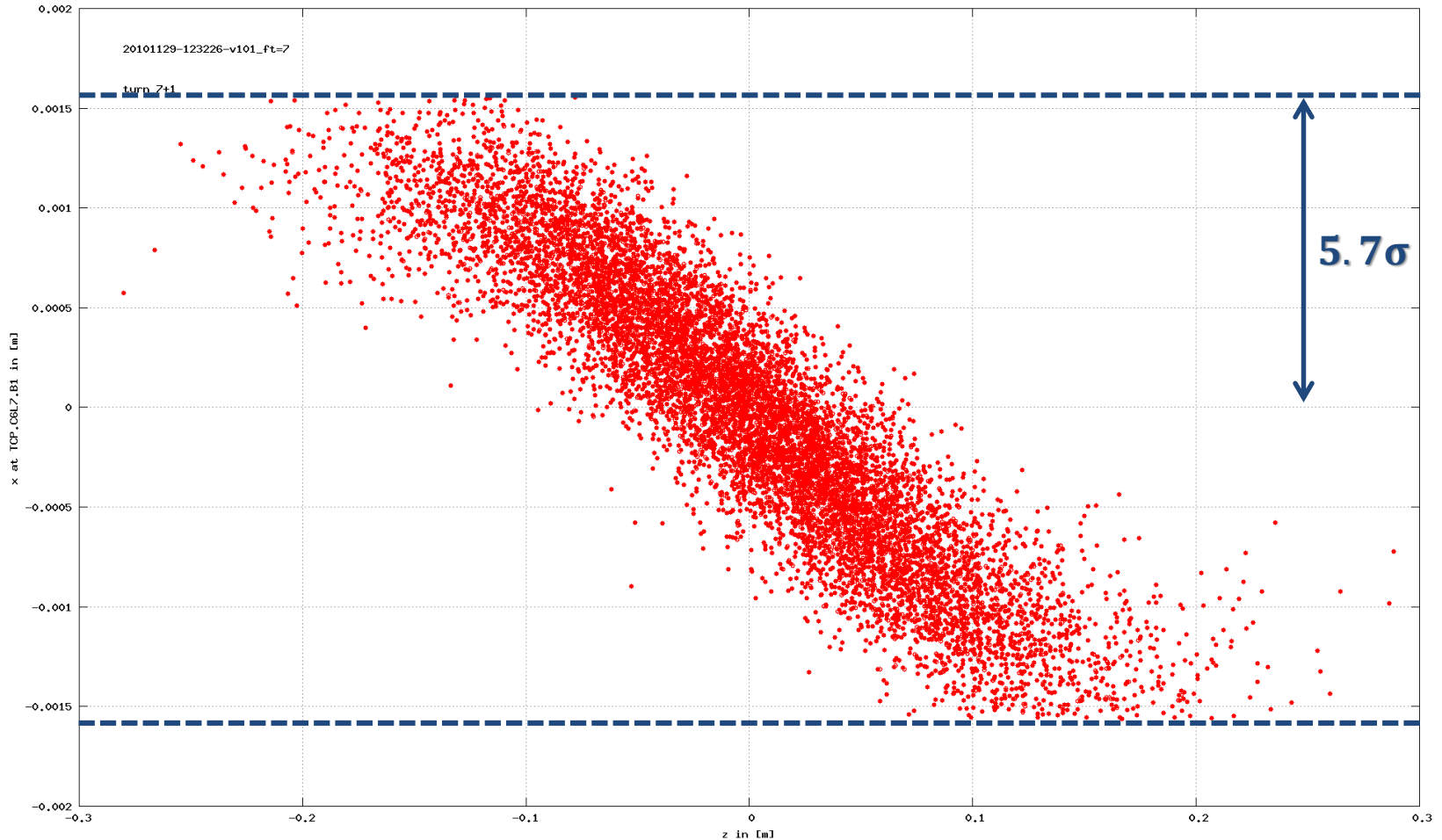
Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1** directly after failure.



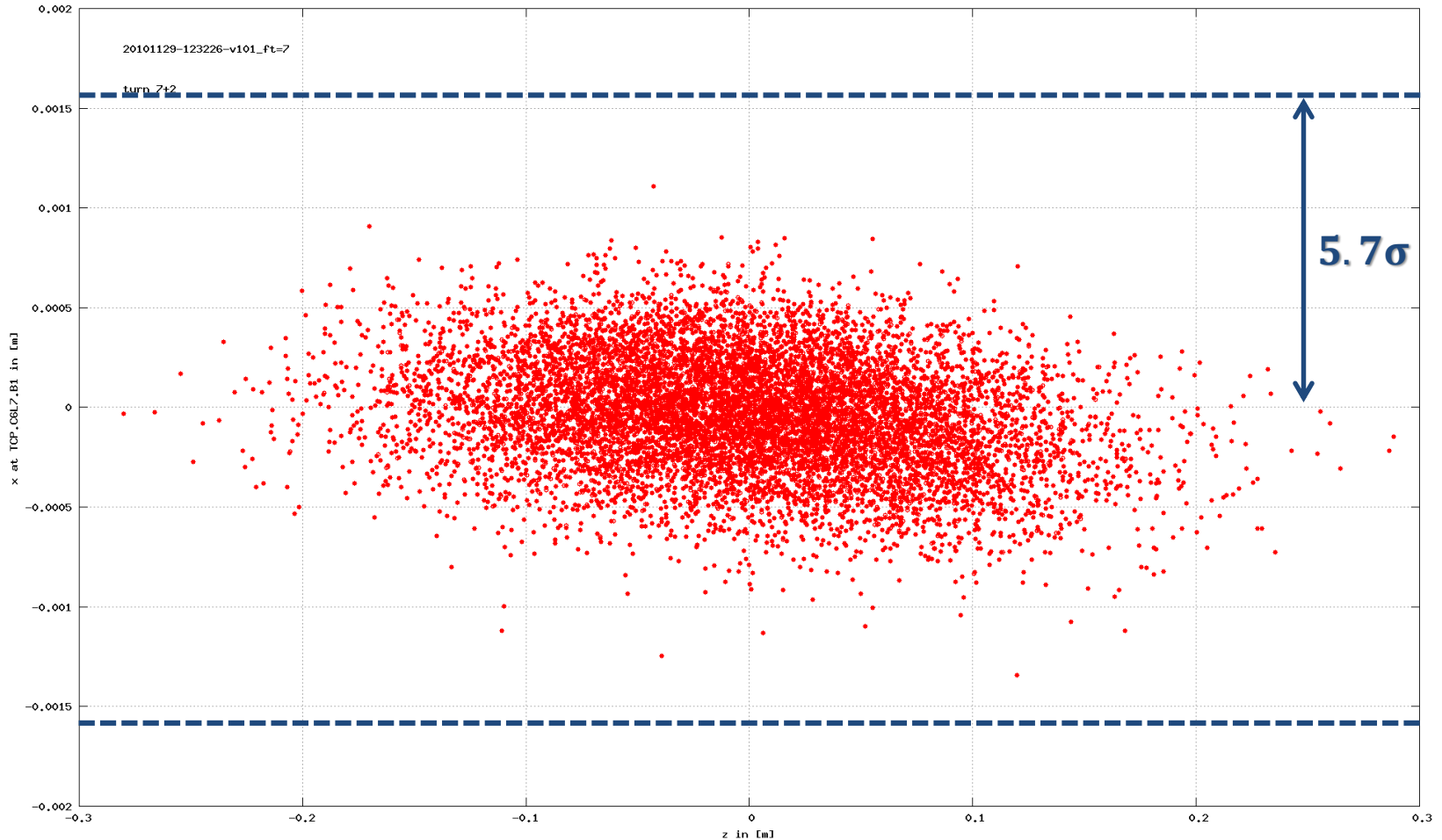
Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1**, 1 turn after failure.



Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1**, 2 turns after failure.



Maximal Displacement

To isolate effect of CC failure and to be independent of particle distribution:

- Maximal displacement:

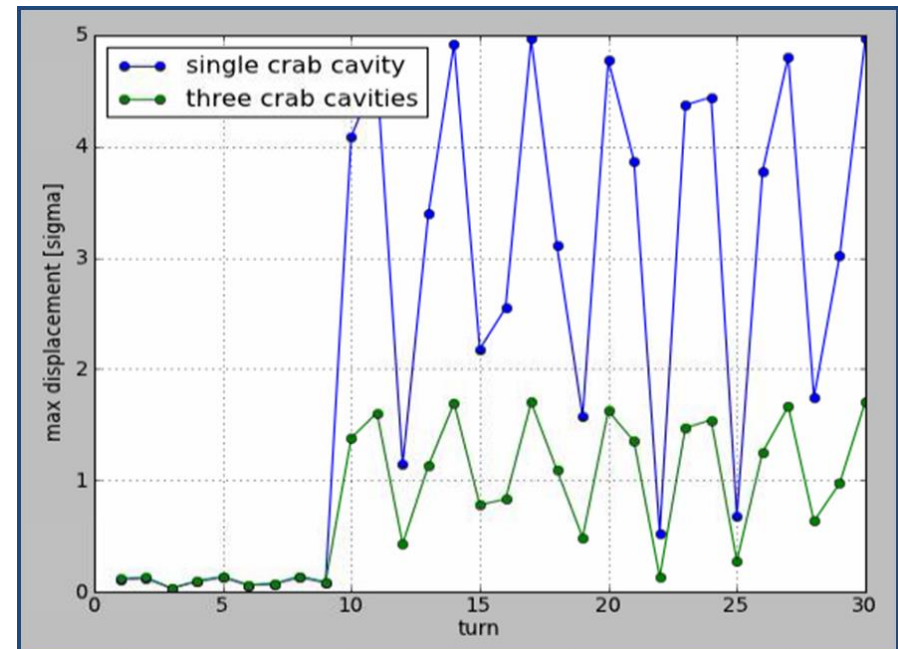
$$\bar{x} = \sqrt{x_{\beta}^2 + (\alpha \cdot x_{\beta} + \beta \cdot x'_{\beta})^2}$$

with $x_{\beta} = x - D_x * \frac{\Delta p}{p}$, $x'_{\beta} = x' - D_{px} * \frac{\Delta p}{p}$.
constant around LHC (apart from IRs).

- Initial conditions:

$$x, x', y, y', dp/p = 0.$$

- Displacement of up to **5 σ** ($n_{cc}=1$).
up to **1.7 σ** with $n_{cc}=3$.





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2. Static Failure Simulations (MAD-X)
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Failure Dynamics

Fast external failures (e.g. control/operational failure):

- Time constant of crab cavity failures:

$$\text{With } Q_{\text{ext}} = 1'250'000, f = 400\text{MHz} \rightarrow \tau_0 = \frac{Q_{\text{ext}}}{\pi \cdot f} \approx \mathbf{1\text{ms.}}$$

- Maximal voltage change per turn: $\frac{\Delta V}{V} = 2 - 2\exp\left(-\frac{89\mu\text{s}}{1\text{ms}}\right) = \mathbf{17\%}$.

- Phase change in first turn: $\arctan\left(\frac{\frac{\Delta V}{V}}{1 - \frac{\Delta V}{V}}\right) = \mathbf{5.3^\circ}$.

Q_{ext} determines time constant of fast external failures.

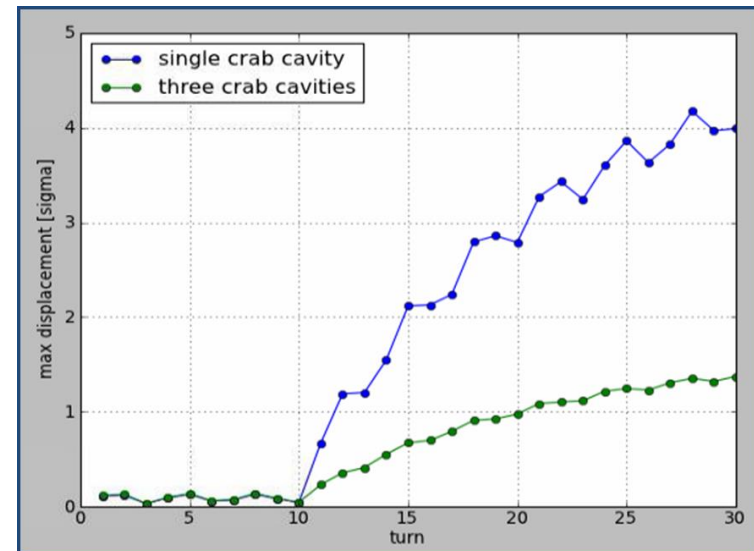
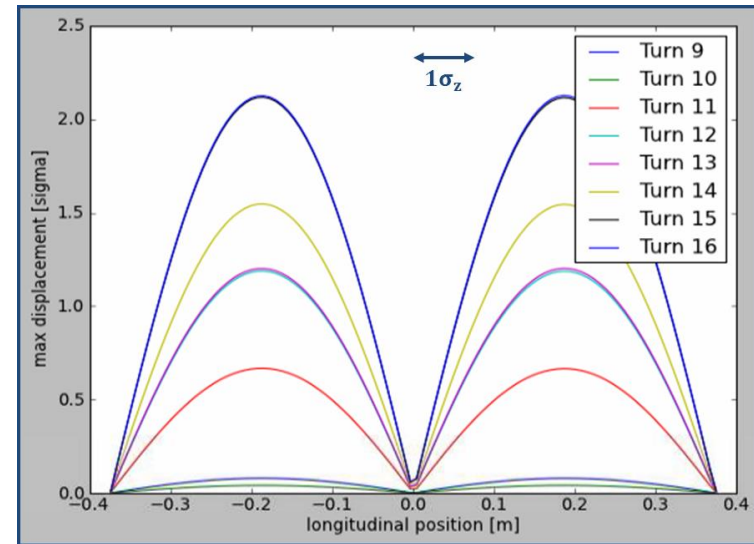
cf. T. Baer et. al, „LHC Machine Protection Against Very Fast Crab Cavity Failures“, IPAC'11, J. Tuckmantel, CERN-ATS-Note-2011-002 TECH

Voltage Failure

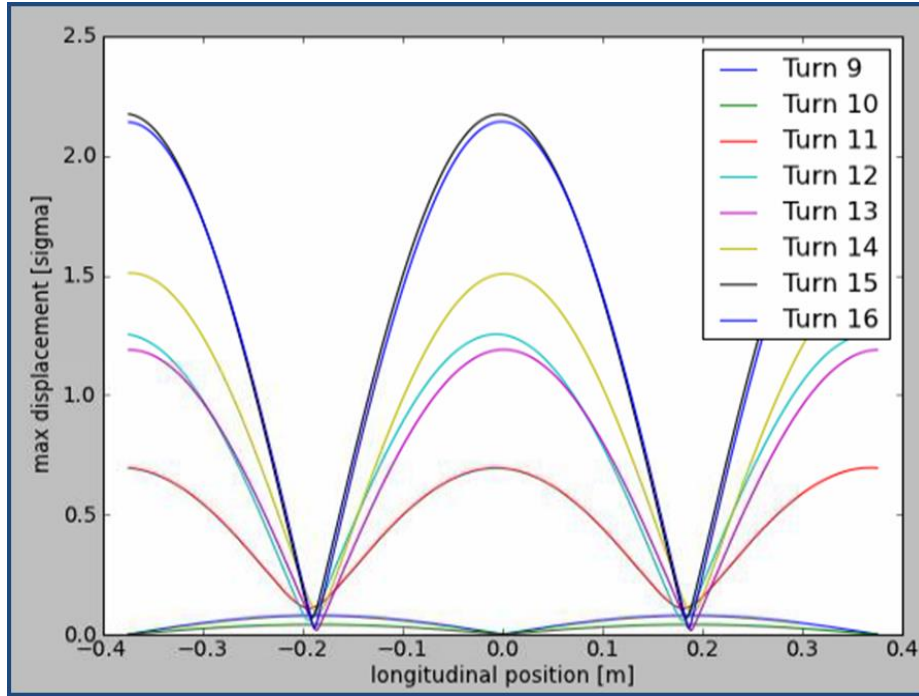
- **Dynamic voltage change** of CC.R5: $V_0 \rightarrow -V_0$.
 $Q_{ext} = 1'250'000$.
Failure starts after turn 10.
- Resulting maximal displacement in 5 turns with $n_{cc}=1$:

$$\bar{x} = 2.1\sigma_x \text{ at } z = \pm 2.4\sigma_z,$$

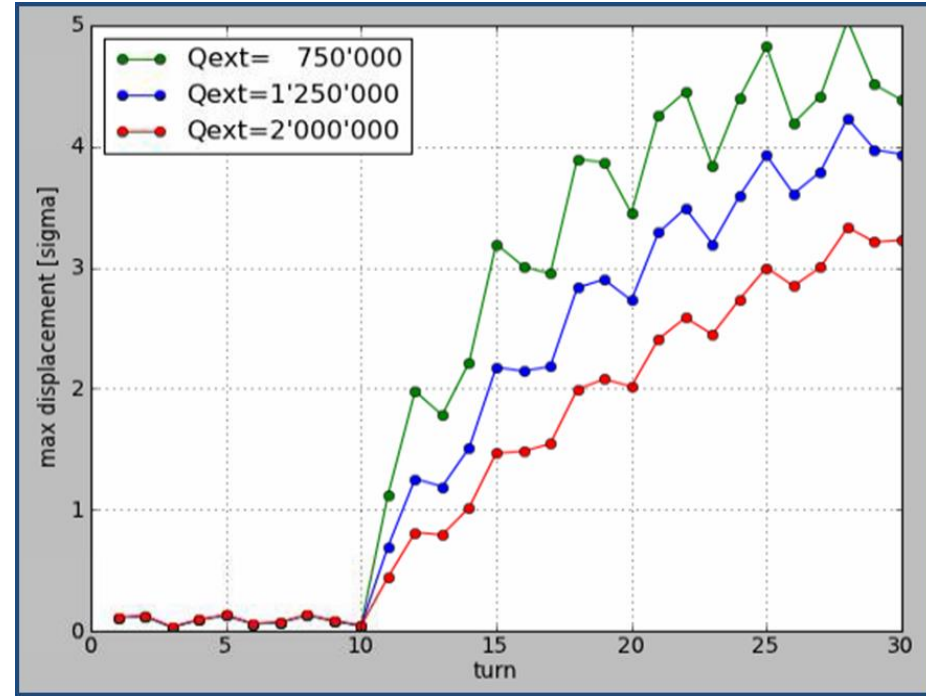
- The (longitudinal) bunch center is not displaced.



Phase Failure



Opposite phase change of both CCs.



Dependence on Q_{ext}

In case of a **dephasing** of the crab cavities, the (longitudinal) **bunch center** is maximally displaced by up to **$2.1\sigma_x$ in 5 turns** ($n_{cc}=1$).



Content

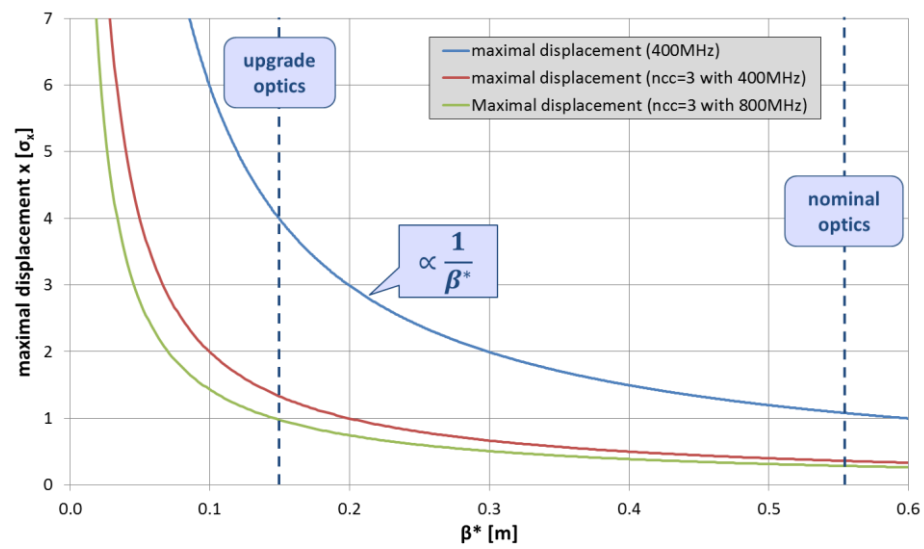
1. Introduction and Scaling Laws
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Scaling Laws

$$\frac{\bar{x}_{cc}(z)}{\sigma_x} = - \frac{c \cdot \tan(\frac{\Theta}{2})}{\omega \cdot \sigma_{x,IP} \cdot \sin(\Delta\varphi) \cdot n_{cc}} \cdot \sin\left(\Phi + \frac{\omega \cdot z}{c}\right)$$

$$\propto \frac{1}{\omega \cdot \beta^* \cdot n_{cc}}$$

if only one CC is affected,
i.e. **no common failure scenarios**



The maximal displacement for $\sin\left(\Phi + \frac{\omega \cdot z}{c}\right) = 1$.

Transverse Distribution

- Highly overpopulated tails observed:

*In horizontal plane about **4%** of beam beyond $4\sigma_{meas}$*

*Corresponds to **≈20-25 MJ** with HL-LHC parameters.*

- Collimation system designed for fast accidental losses of up to **1MJ**.

R. Assmann, „Collimation for the LHC High Intensity Beams“, HB2010

- Need to **deplete tails** (e.g. by **hollow electron lens**) such that crab cavity failures are compliant with collimation system specifications.

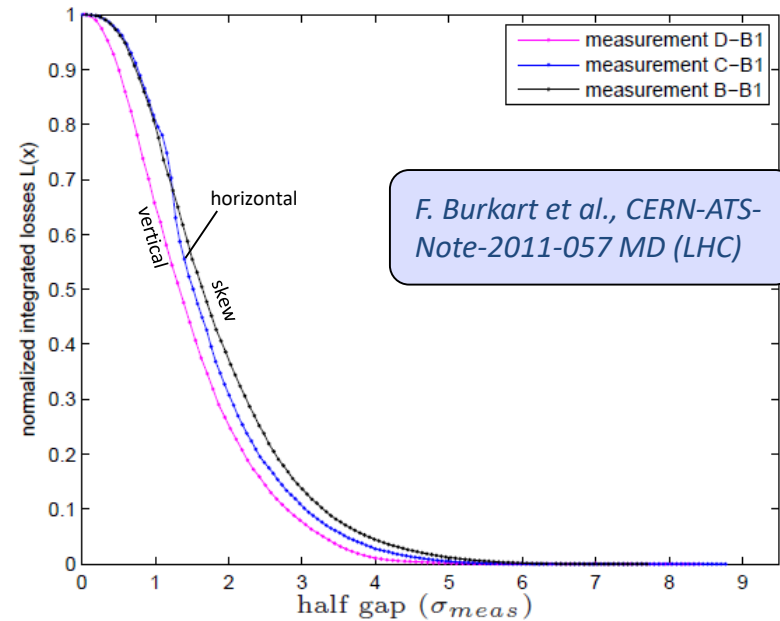


Table 3: Measured fraction of beam intensity in the tails of the beam outside selected multiples of the measured beam size, σ_{meas} , at 450 GeV.

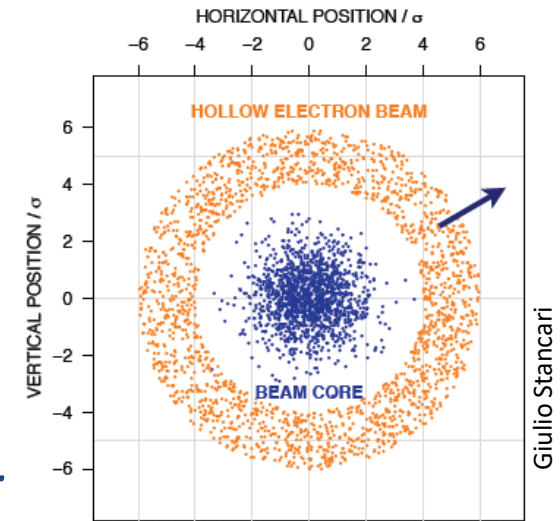
u [σ_{meas}]	$I_{tot,lost}(u)/I_{total}$ vertical	$I_{tot,lost}(u)/I_{total}$ horizontal	$I_{tot,lost}(u)/I_{total}$ skew
	B1	B1	B1
4	9.4e-3	3.8e-2	4.5e-2
5	2.2e-3	7.8e-3	1.3e-2
5.7	8.4e-4	1.6e-3	3.8e-3

F. Burkart et al., CERN-ATS-2011-115.

Mitigation Options

- Mitigation options:

- Larger β^* (flat IR optics).
- Smaller crossing angle (wire compensator).
- Higher crab cavity frequency.
- Crab kick by several **INDEPENDENT** crab cavities.
- Larger Q_{ext} (= slower time constant of ext. failures).
- Coupled RF feedback. *P. Baudrenghien, LHC-CC11*
- **Hollow electron lens** to deplete transverse tails.
(essential) *G. Stancari, FERMILAB-PUB-11-192-AD-APC*



Giulio Stancari

- Requires: **single turn redundant failure detection** and interlock.

- on cavity level.
- on beam level (head-tail-monitor?).



Possible Scenarios

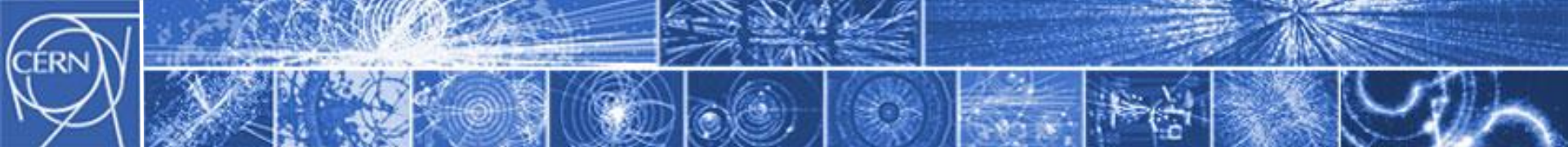
Tolerable scenarios for internal and external failures with losses below 1MJ in max 5 turns:

	Scenario 1: 3 CCs	Scenario 2: $\beta^* = 25\text{cm}$	Scenario 3: 800 MHz
CC frequency (f)	400 MHz	400 MHz	800 MHz
Number of independant CCs (n_{cc})	3	3	3
Q_{ext}	1'250'000	1'250'000	1'250'000
β^*	15 cm	25 cm	15 cm
Fraction to be depleted below 1MJ.	1.7 σ	1.0 σ	0.9 σ

Magnet quenching in failure case not excluded.

Conclusion

- Failure scenarios are **strongly optics (β^*) dependent**.
- **Very fast (internal) crab cavity failures** can lead to **global betatron oscillations** with amplitudes of up to **5σ** ($n_{cc}=1$).
Unacceptable with multi-MJ tails.
Better understanding of failure scenarios (e.g. quench) needed.
- **External crab cavity failures** can transversely displace the (longitudinal) **bunch center** by up to **2.1σ** within 5 turns ($n_{cc}=1$).
- Mitigation options:
 - *Lower voltage (partial compensation of crossing angle), or larger β^* .*
 - *Crab kick by several **INDEPENDENT** crab cavities.*
 - *Higher cavity frequency.*
 - *Larger Q_{ext} (= slower time constant of external failures).*
 - *Coupled RF feedback.*
 - **Hollow electron lens** to deplete transverse tails (essential).



Thank you for your Attention

Tobias Baer

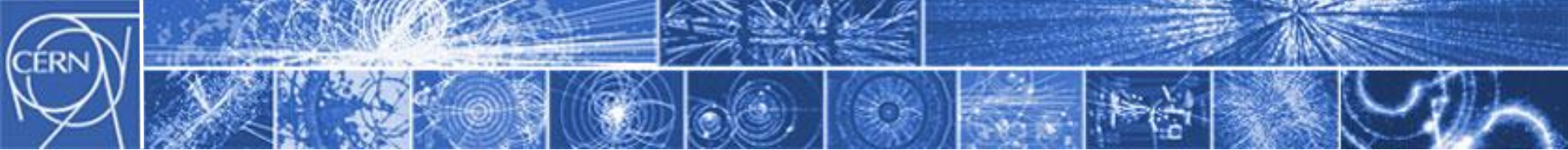
CERN BE/OP

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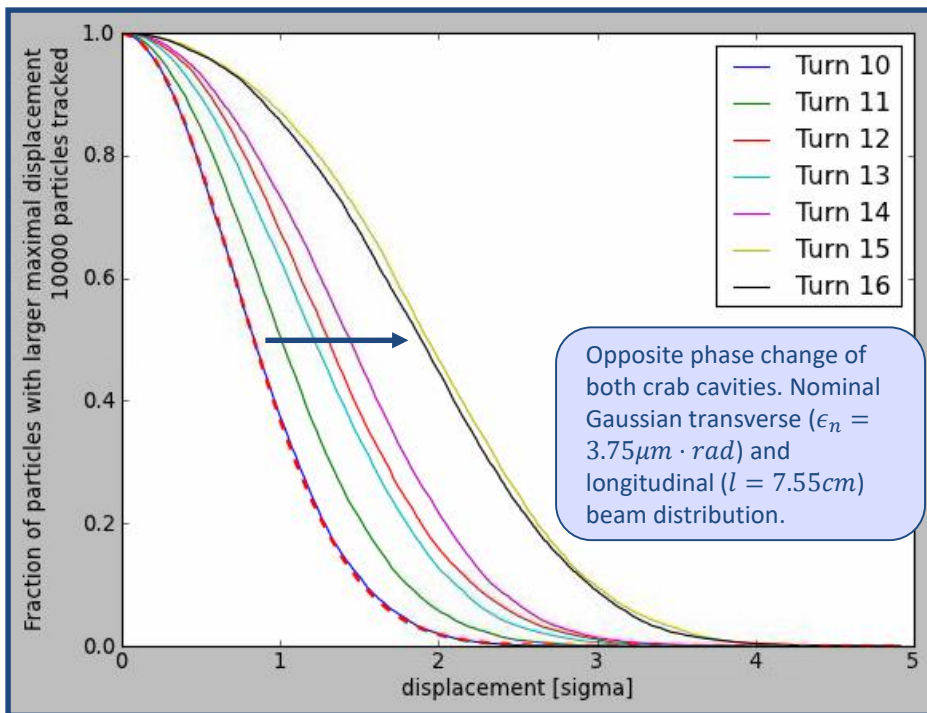
Further information:

- T. Baer et al., “Machine Protection of LHC Crab Cavities”, LHC-CC11, Nov. 2011.
- E. Jensen et al., “Crab Cavity”, 1st HiLumi LHC / LARP Meeting, Nov. 2011.
- T. Baer et al., “LHC Machine Protection against Very Fast Crab Cavity Failures”, IPAC’11, Sept. 2011.
- T. Baer, “Beam Dynamics Aspects of Crab Cavity Failures”, December 2010.
- J. Tuckmantel, “Failure scenarios and mitigation”, LHC-CC10, December 2010

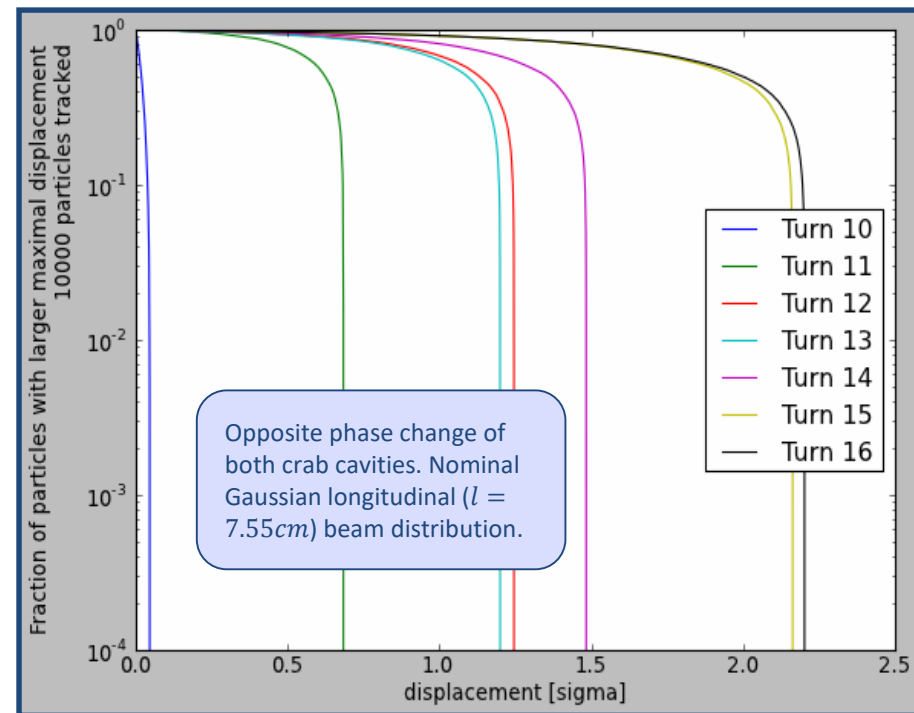


Backup slides

Phase Change



Maximal displacement with Gaussian transverse and longitudinal beam distribution.



Maximal displacement with Gaussian longitudinal beam distribution.

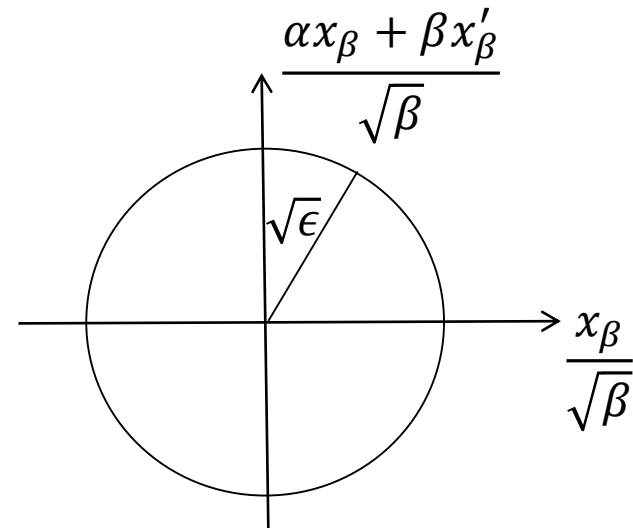
In case of a **dephasing** of the crab cavities left and right of the IP, the (longitudinal) **bunch center** is maximally displaced, by up to **$2.2\sigma_x$ in 5 turns**.

Normalized Phase Space

Single particle emittance:

$$\epsilon = \frac{(\alpha x_\beta + \beta x'_\beta)^2}{\beta} + \frac{x_\beta^2}{\beta}$$

with $x_\beta = x - D_x * \frac{\Delta p}{p}$, $x'_\beta = x' - D_{px} * \frac{\Delta p}{p}$.



Maximal displacement:

$$\bar{x} = \sqrt{\epsilon \cdot \beta} = \sqrt{x_\beta^2 + (\alpha \cdot x_\beta + \beta \cdot x'_\beta)^2}.$$

90° Phase Change

- Maximal phase change in first turn:

$$\varphi = \arctan\left(\frac{\frac{\Delta V}{V}}{1 - \frac{\Delta V}{V}}\right) = 5.3^\circ.$$

- Phase change is fastest if cavity voltage changes as well.

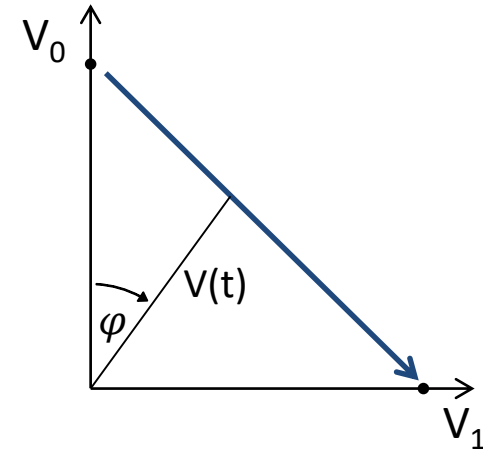
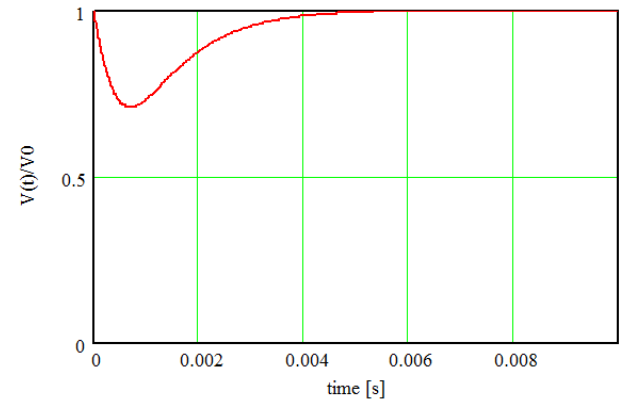


Illustration of 90° voltage change.



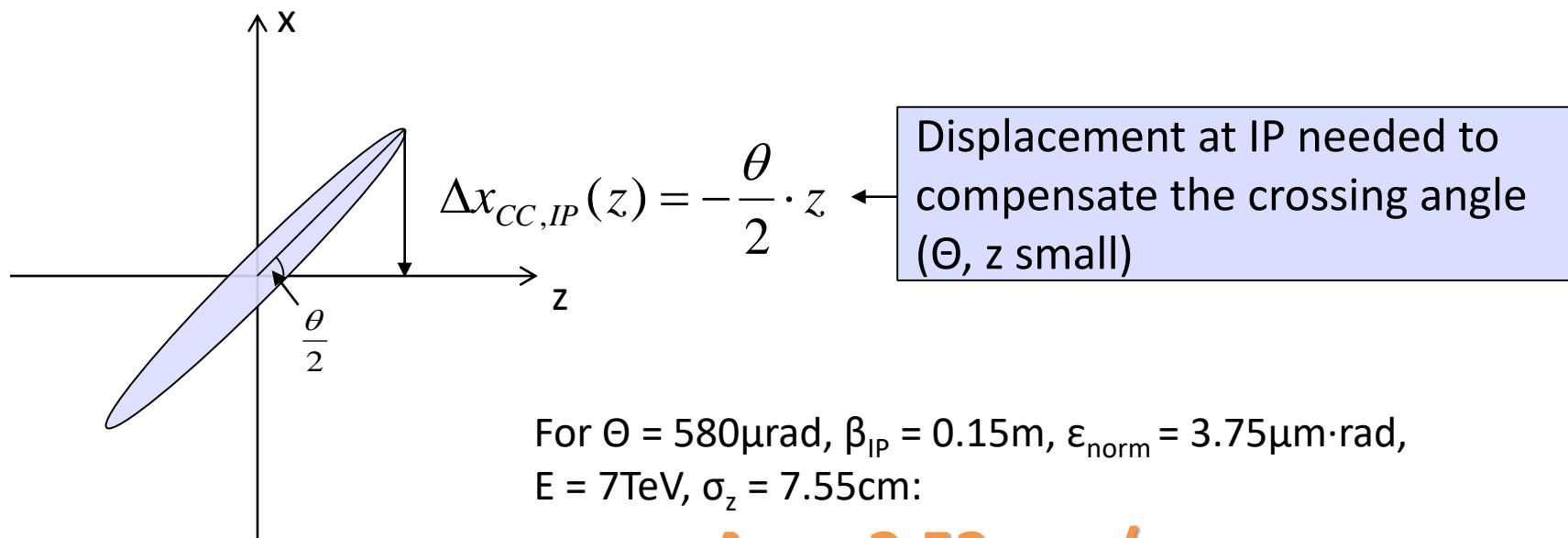
Amplitude of cavity voltage.



Content

Static Failure Scenarios

Very Simple Approximation



For $\Theta = 580\mu\text{rad}$, $\beta_{IP} = 0.15\text{m}$, $\epsilon_{\text{norm}} = 3.75\mu\text{m}\cdot\text{rad}$,
 $E = 7\text{TeV}$, $\sigma_z = 7.55\text{cm}$:

$$\Delta x = -2.52 \sigma_x \cdot z / \sigma_z$$

Expected beamlosses from simple Monte Carlo:

Particle is lost if $|\text{RAND}_{\text{Gauss}} + 2.52 \cdot \text{RAND}_{\text{Gauss}}| > 5.7$

-> Expected loss: **(3.5 ± 0.2)%**

Simple Approximation (MC)

Beamloss approximation with simple Monte Carlo (upgrade optics):

- Failure of single cavity ($V \rightarrow 0$): Scaling factor (≈ 1.12)

Particle is lost if $|x + x_{cc}(z) \cdot k(\Delta\varphi_{CC \rightarrow TCP})| > 5.7 \cdot \sigma_x$

1. Gaussian
Distribution

2. Gaussian
Distribution

-> expected loss: **(0.88 ± 0.06)%**

- Phase error of single cavity ($\Phi \rightarrow \pi/2$):

Particle is lost if $|x + \underbrace{x_{cc}(z, \Phi = \pi/2)}_{\text{CC with failure}} \cdot k - \underbrace{x_{cc}(z, \Phi = 0)}_{\text{CC without failure}} \cdot k| > 5.7\sigma_x$

CC with
failure

CC without
failure

-> expected loss: **(24.8 ± 0.3)%**

Static Tracking Studies with upgrade optics (MAD-X)

- Fast Voltage Decay

- Phase Error



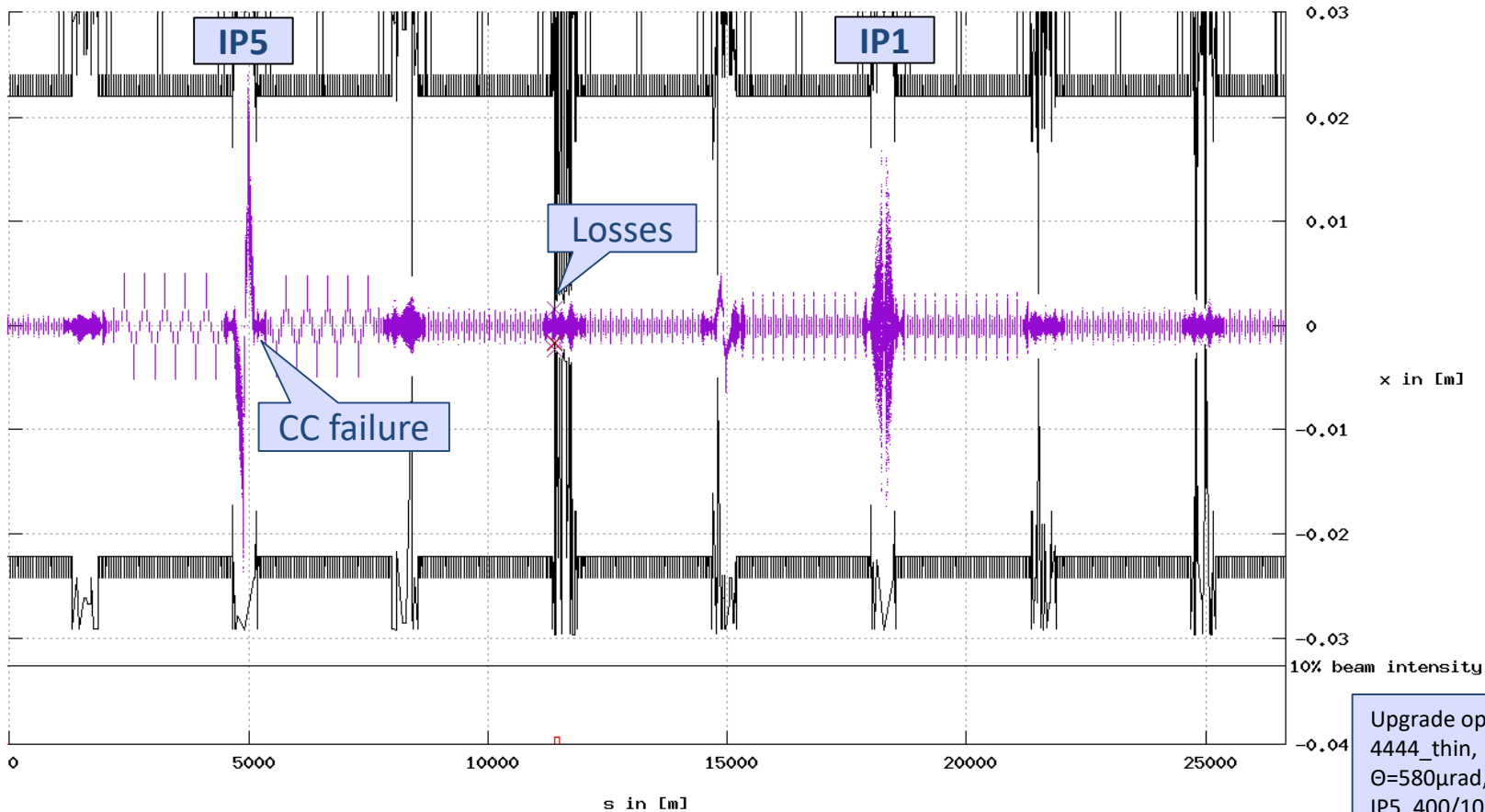
Failure of CRAB.R5.B1

Voltage of Crab.R5.B1 = 0.

Total beam loss: **1.3%** in 2 turns (2% in first 10 turns), mainly at **TCP.C6L7.B1**.

20101214-133413-v102_ft=7_NCC=1_VR5=1_pL5=0_o1_aper

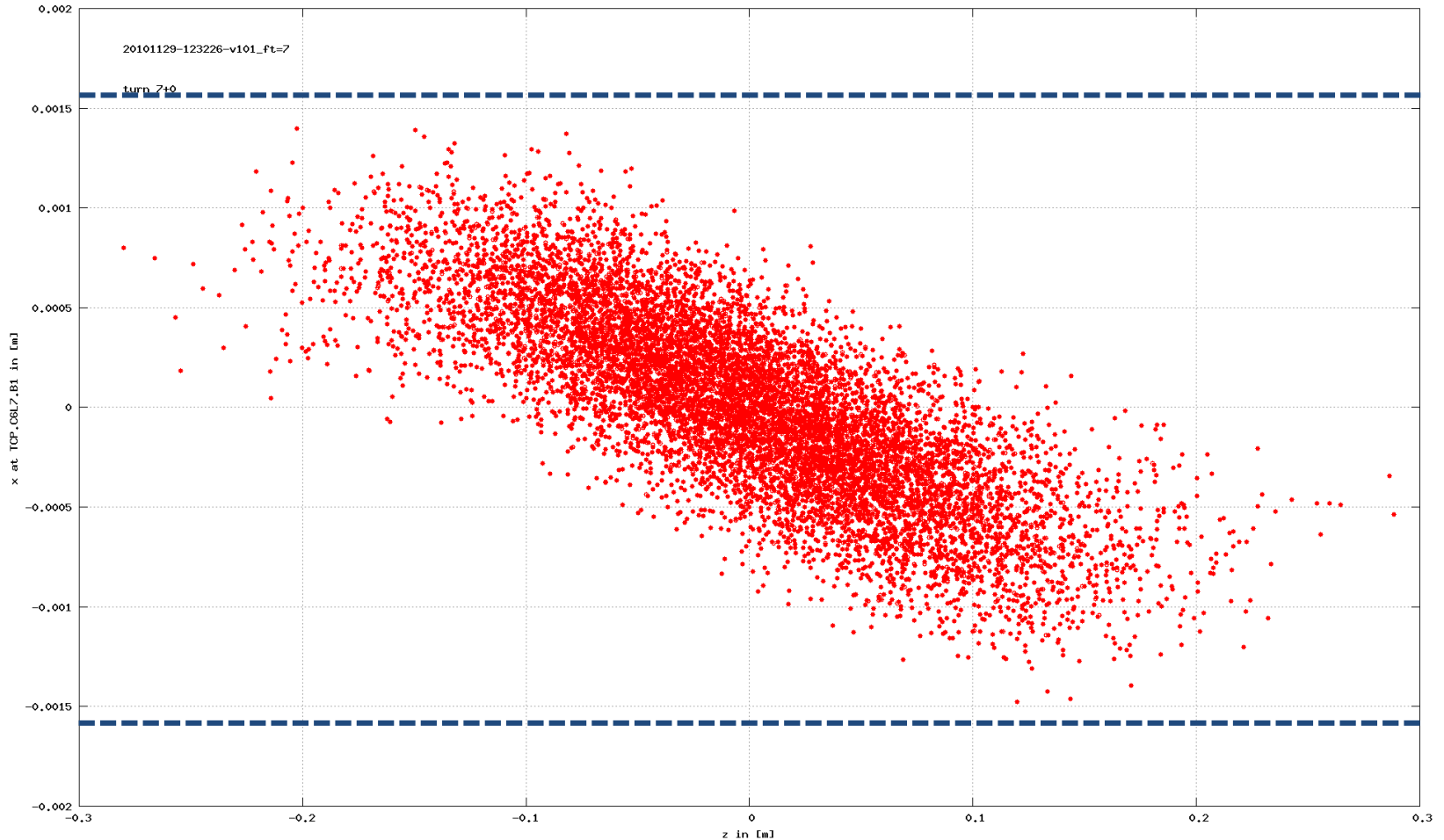
turn 7



Upgrade optics SLHCV3.0
 4444_thin, IP1/5: $\beta^* = 0.15\text{m}$,
 $\Theta = 580\mu\text{rad}$, CC Local scheme
 IP5, 400/10,000 particles

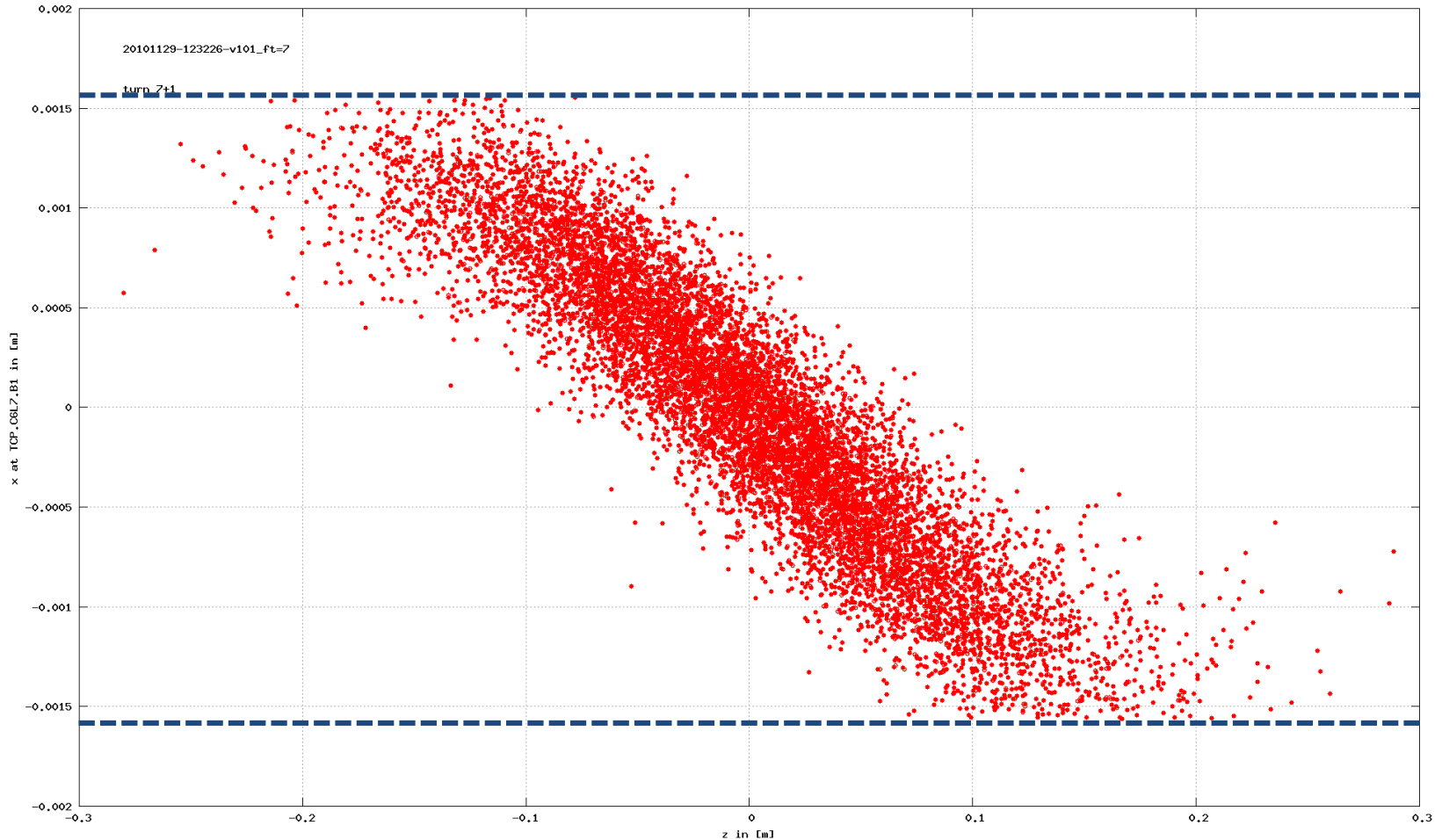
Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1** directly after failure.



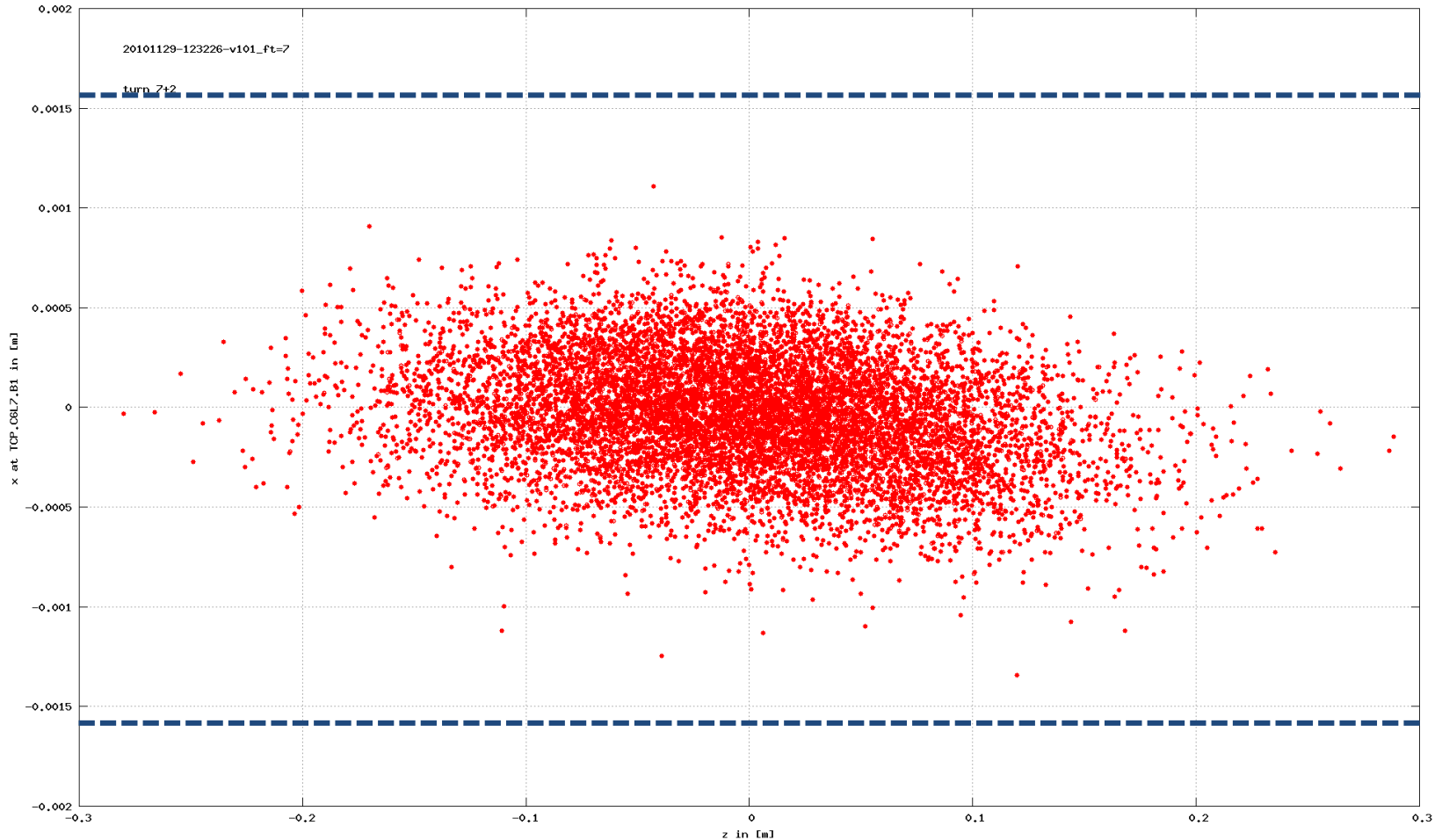
Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1**, 1 turn after failure.



Failure of CRAB.R5.B1

Bunchshape at **TCP.C6L7.B1**, 2 turns after failure.



Static Tracking Studies with upgrade optics (MAD-X)

- Fast Voltage Decay

- Phase Error

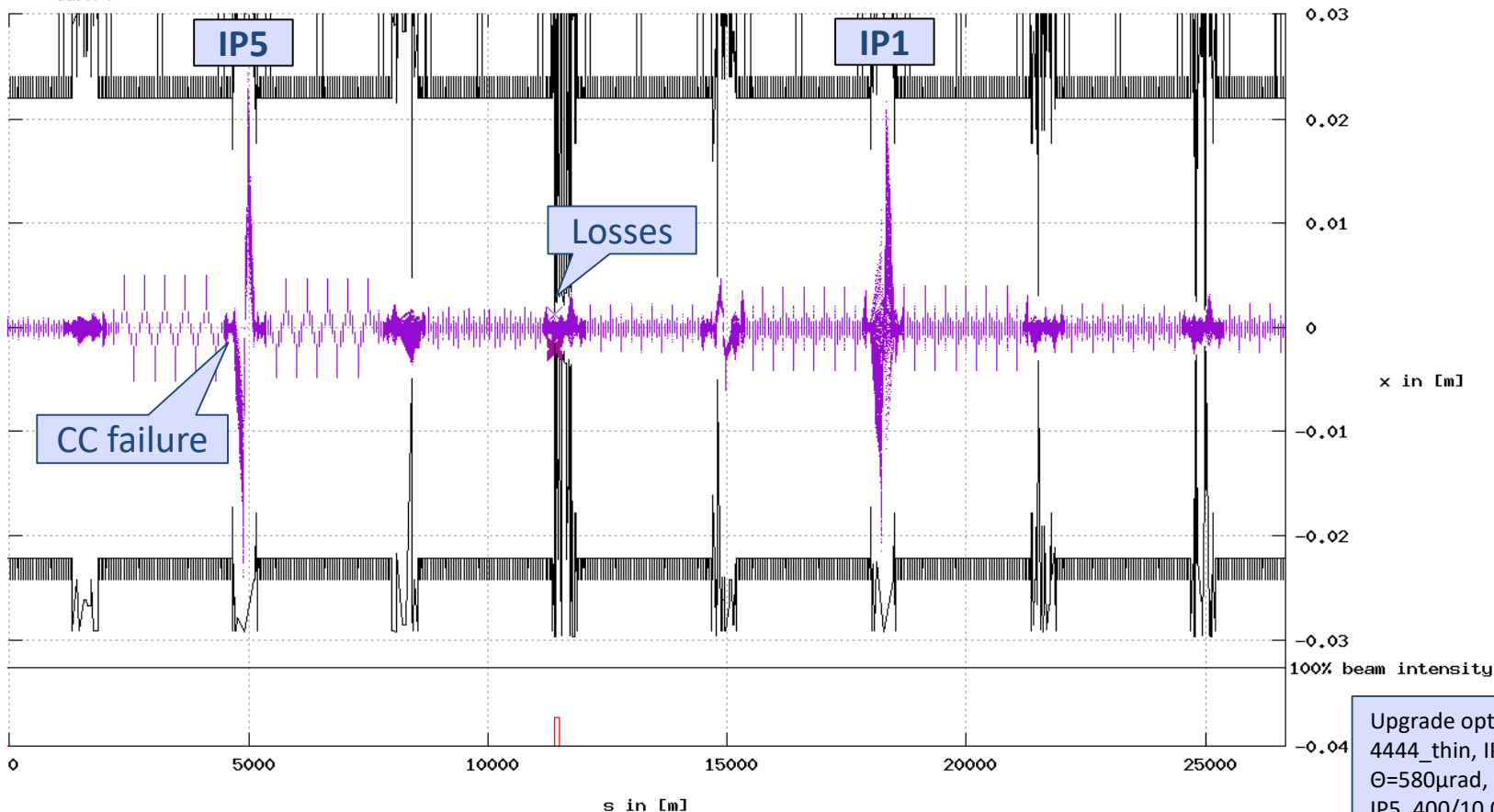
Phase Error of CRAB.L5.B1

Upgrade Optics, Phase of Crab.L5.B1 = $-\pi/2$.

Total beam loss: **15% - 35%** in 2 turns, mainly at **TCP.C6L7.B1**

20101214-150401-v102_ft=7_NCC=1_VR5=0_pL5=-25_o1_aper

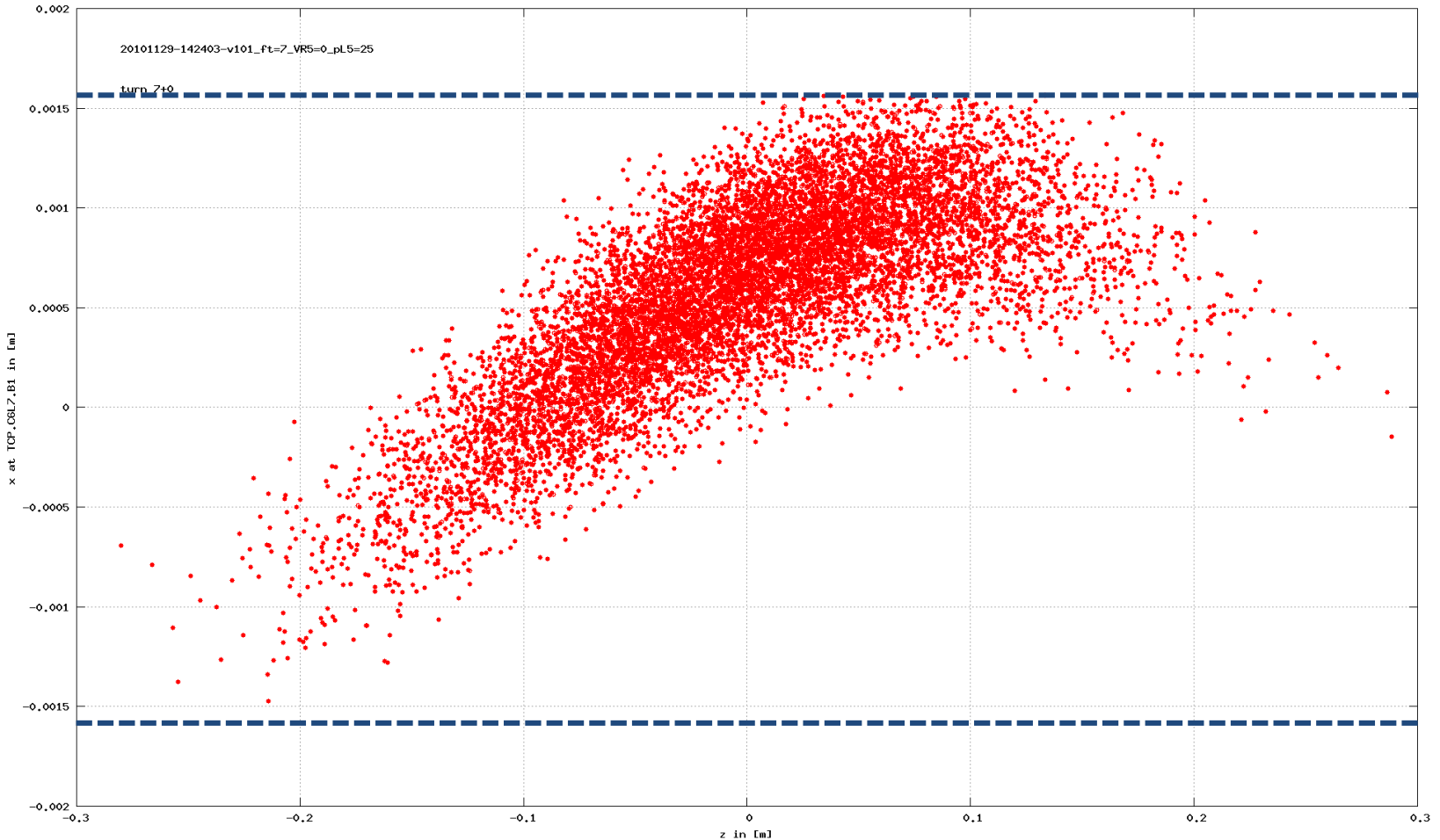
turn 7



Upgrade optics SLHCV3.0
4444_thin, IP1/5: $\beta^* = 0.15\text{m}$,
 $\Theta = 580\mu\text{rad}$, CC Local scheme
IP5, 400/10,000 particles

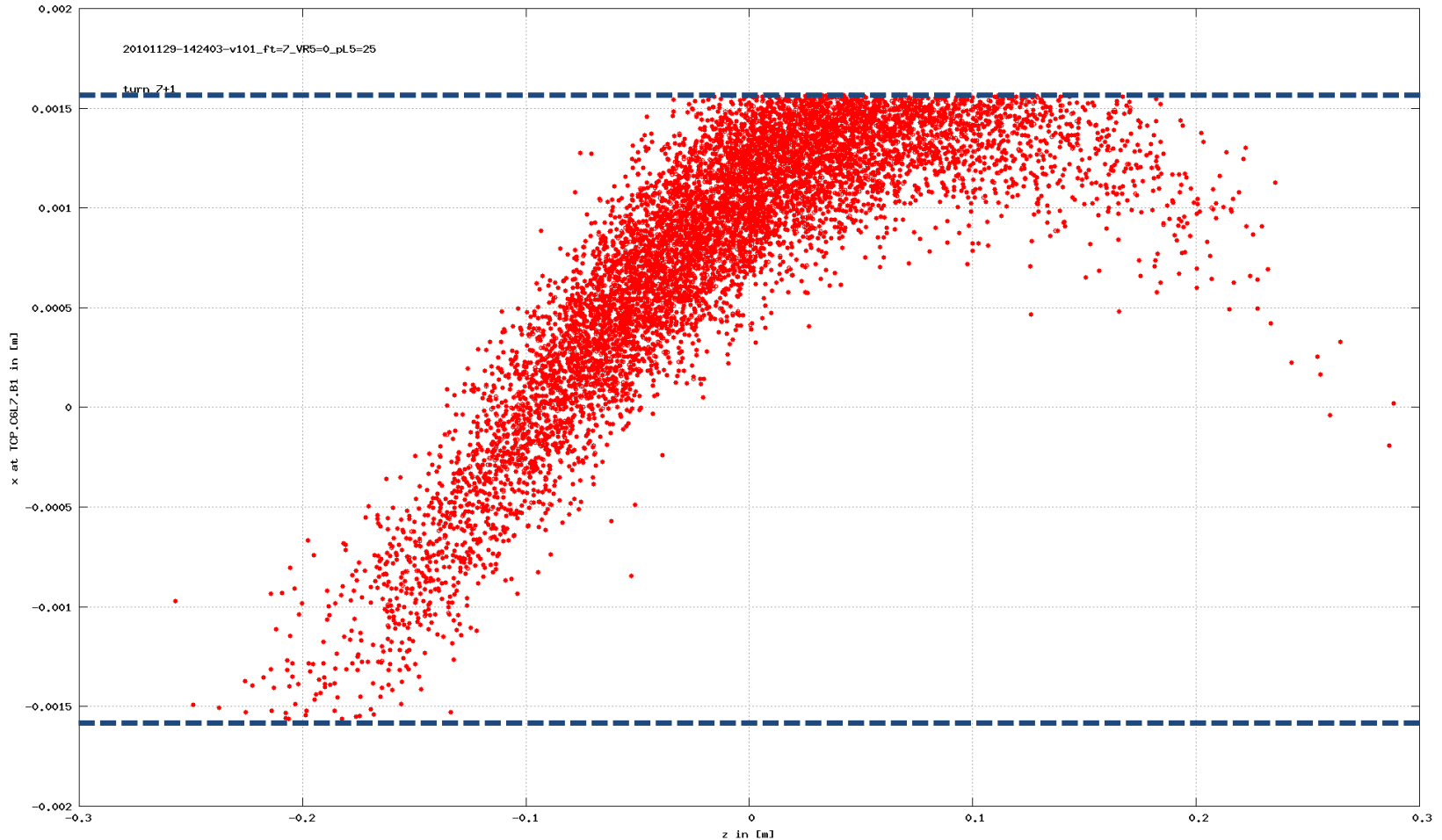
Phase Error of CRAB.L5.B1

Bunchshape at **TCP.C6L7.B1** directly after failure.



Phase Error of CRAB.L5.B1

Bunchshape at **TCP.C6L7.B1**, 1 turn after failure.



Losses vs β^*

