

Electroweak physics at LHCb

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Outline

- Overview
- W, Z production ($x \sim 10^{-4}$)
- Sensitivity to PDFs
- Sensitivity to $\sin^2\theta_W$
- γ^* production ($x \sim 10^{-6}$)
- Exclusive processes

EW physics motivation

$$\sigma_X(Q^2) = \sum_{a,b} \int_0^1 dx_1 dx_2 f_a(x_1, Q^2) f_b(x_2, Q^2) \hat{\sigma}_{ab \rightarrow X}(x_1, x_2, Q^2)$$

Hadronic
Cross-section

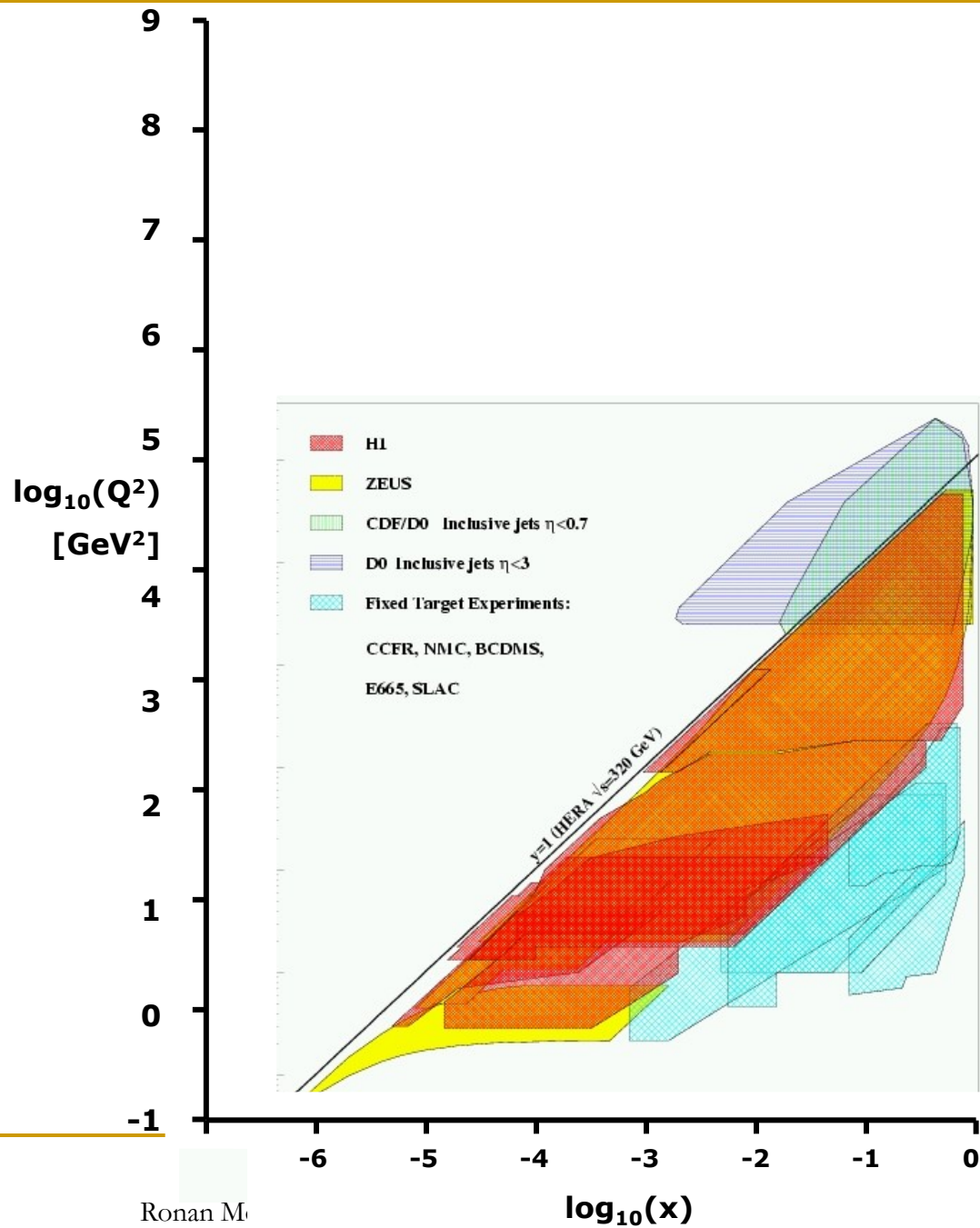
PDFs
(3-5%)

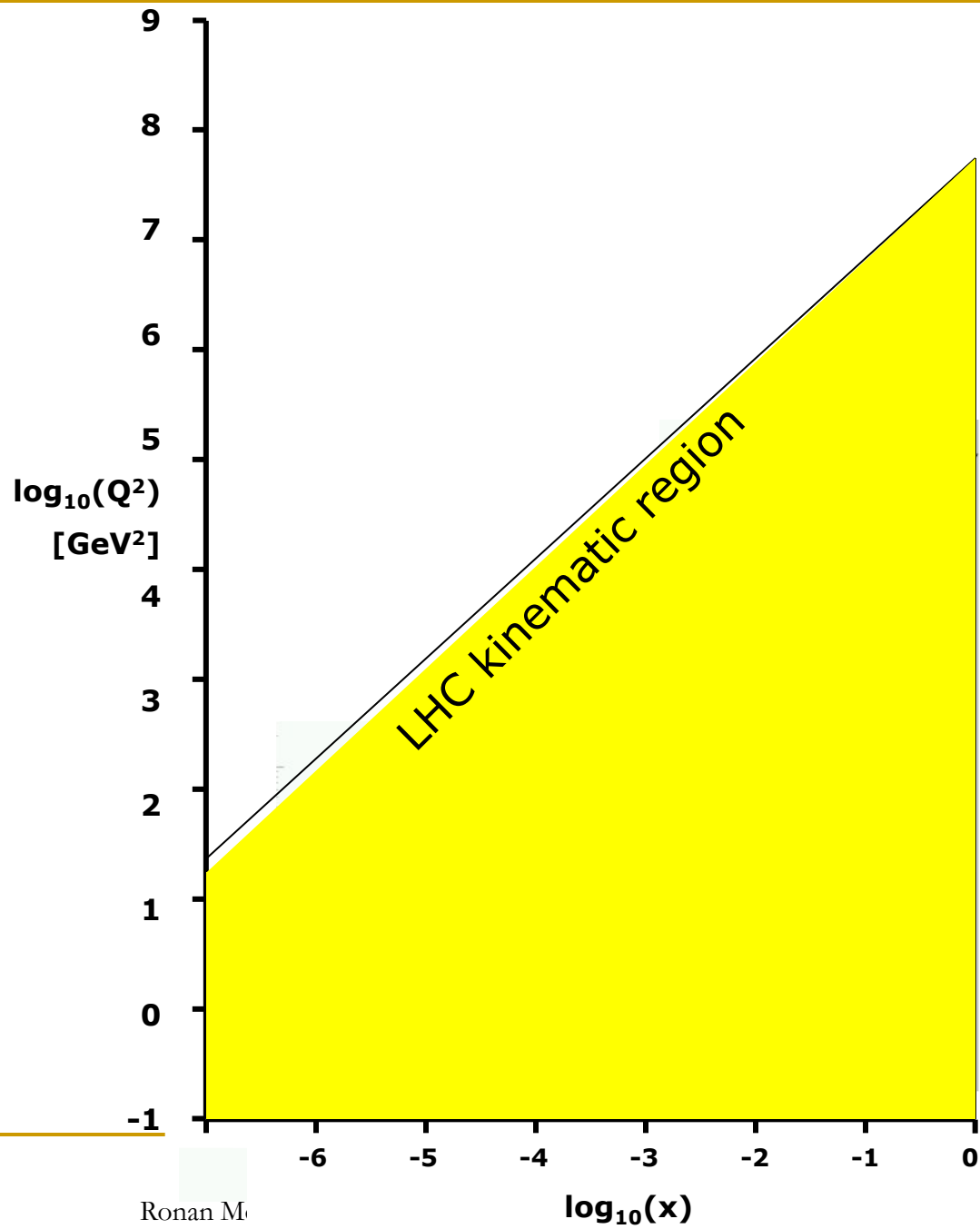
Partonic
Cross-section
FEWZ NNLO(1%)

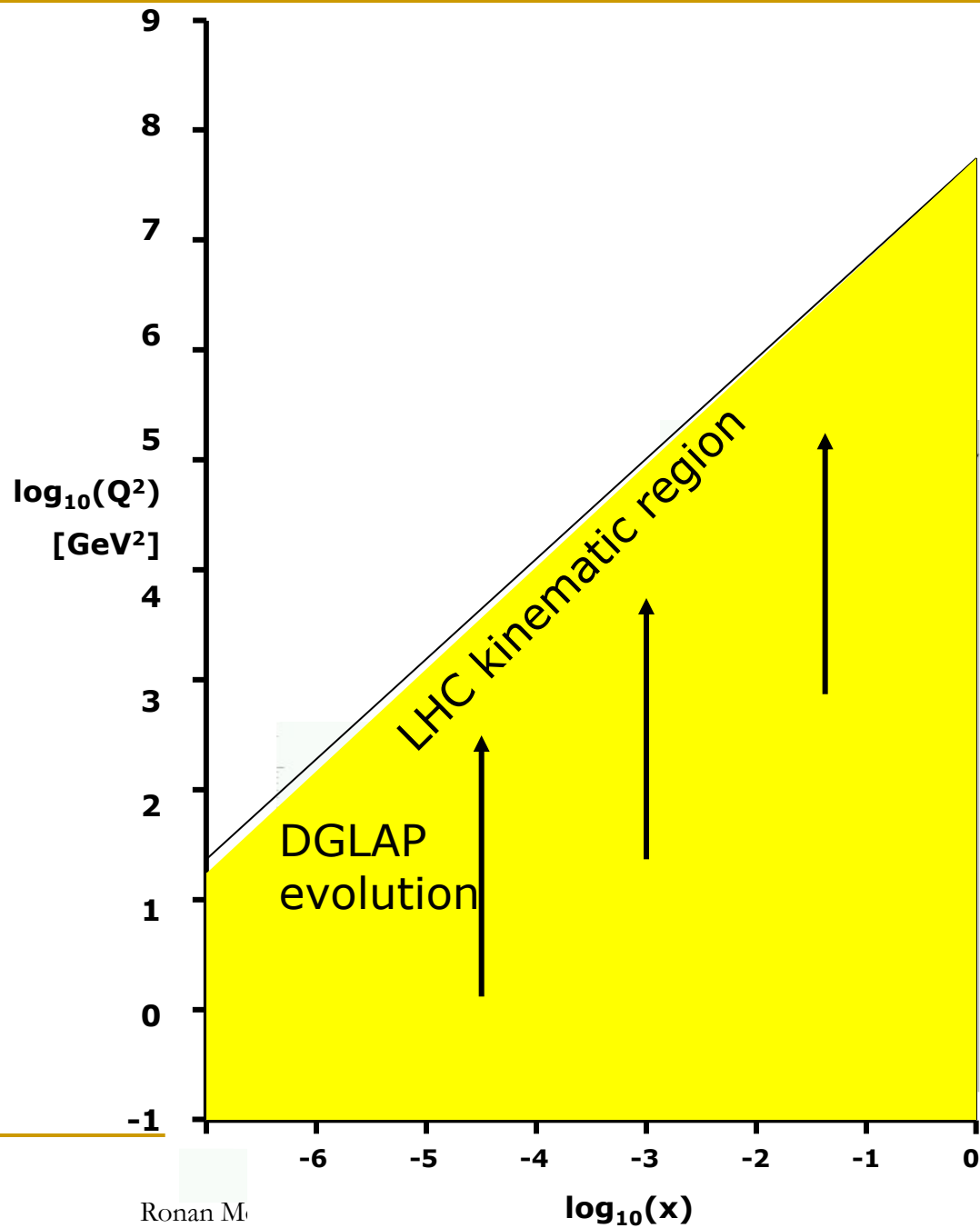
Test the SM at highest energies

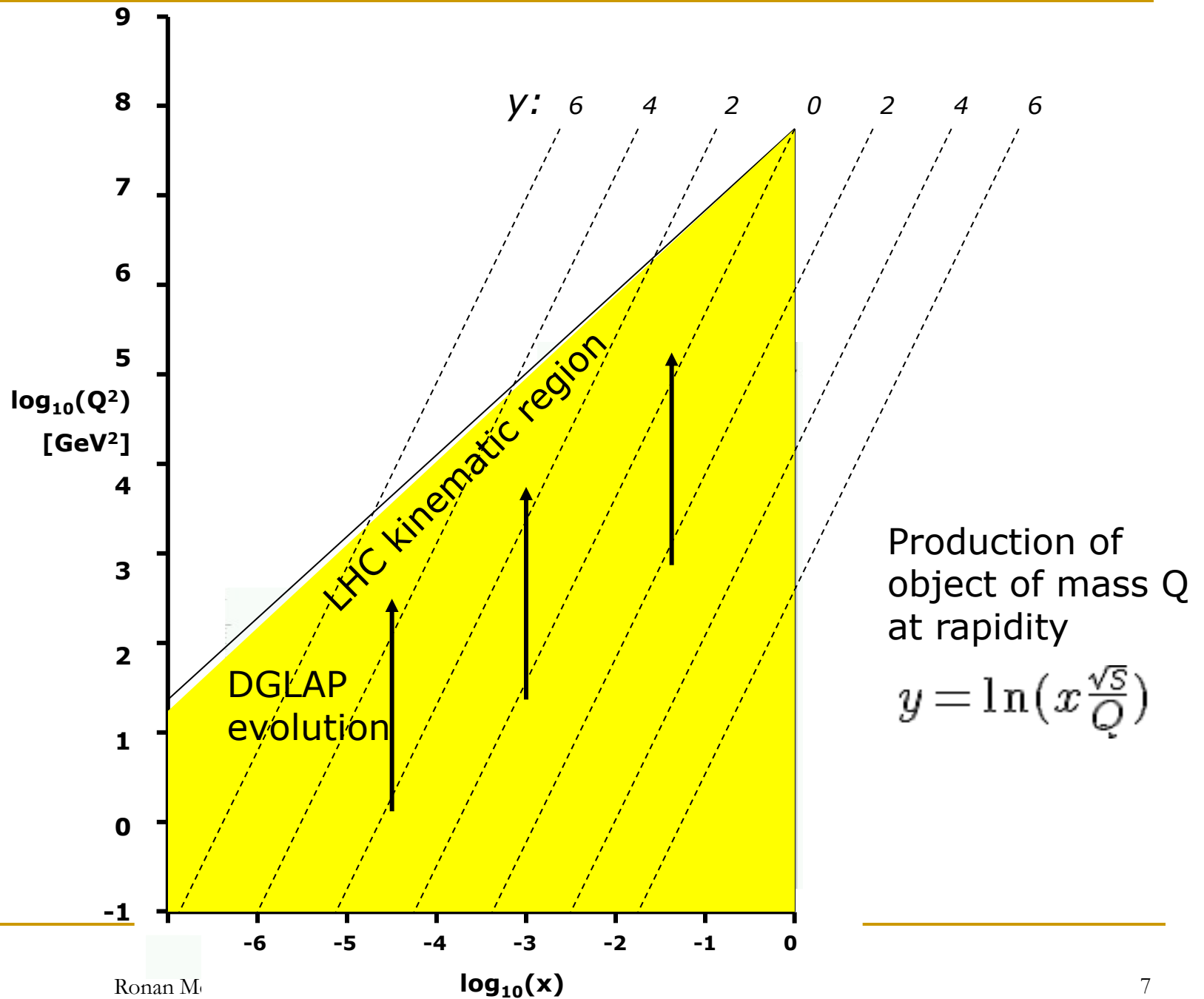
Check out that DGLAP evolution works (test QCD)

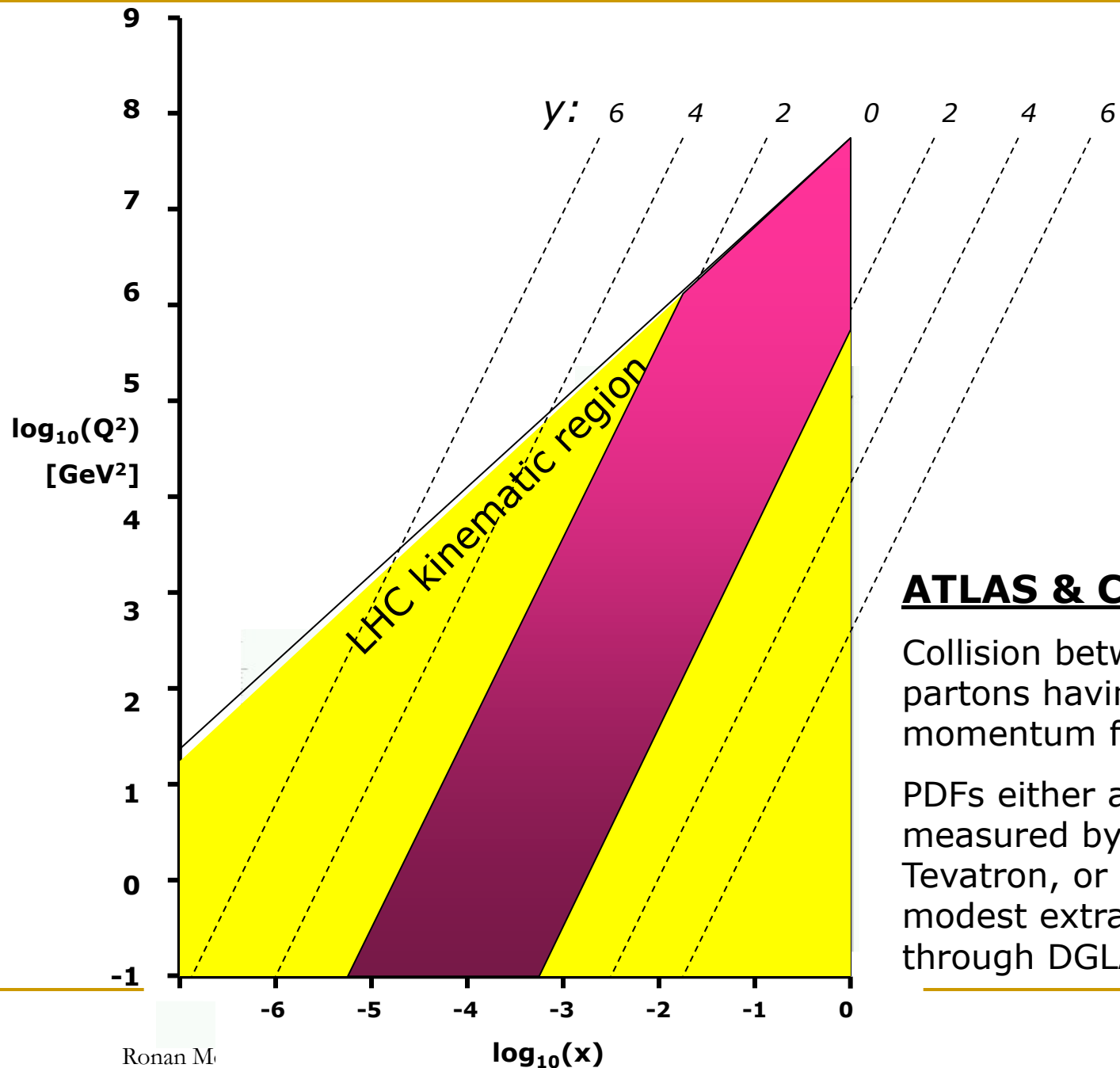
Push theory into interesting regions with very soft gluons



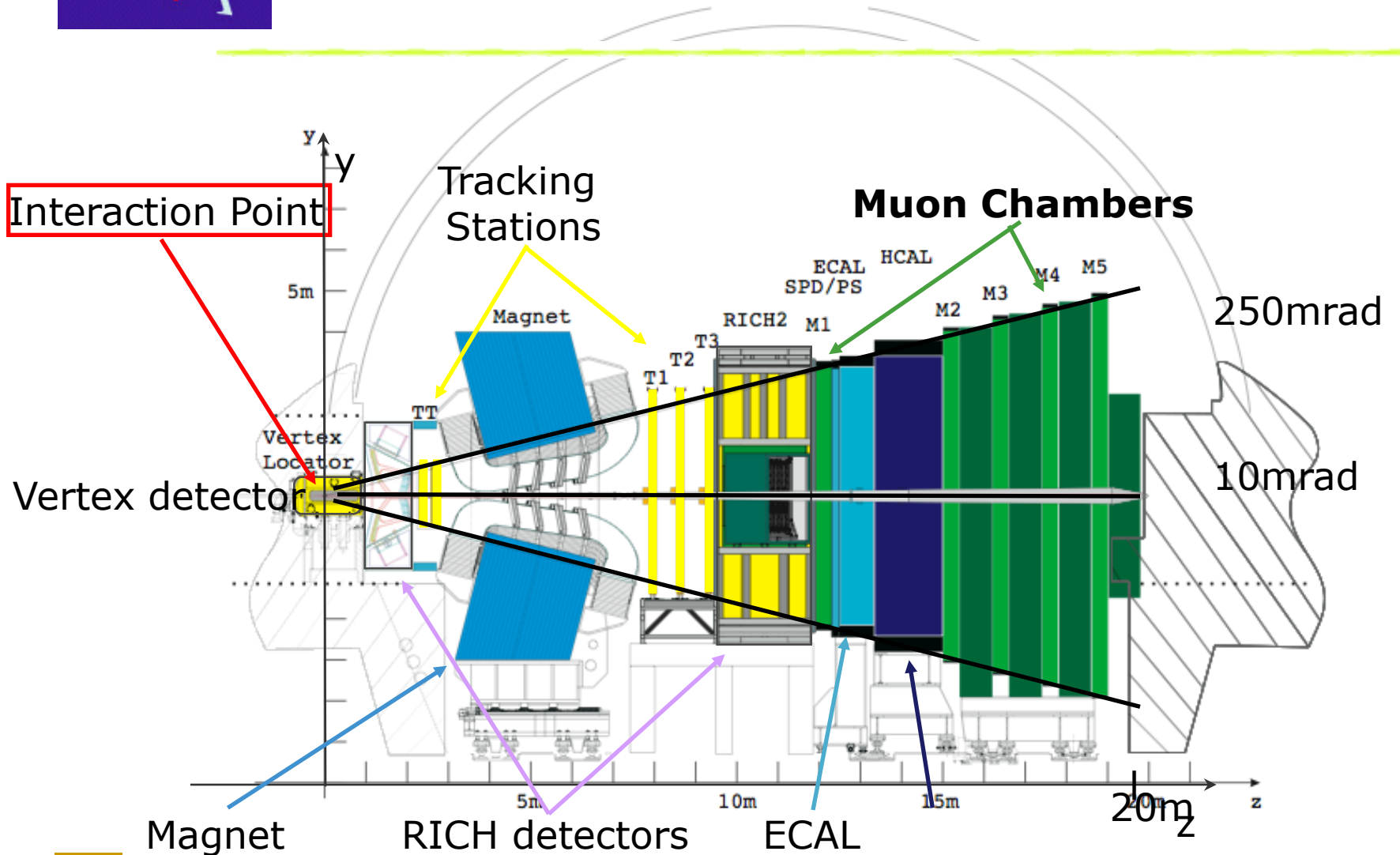


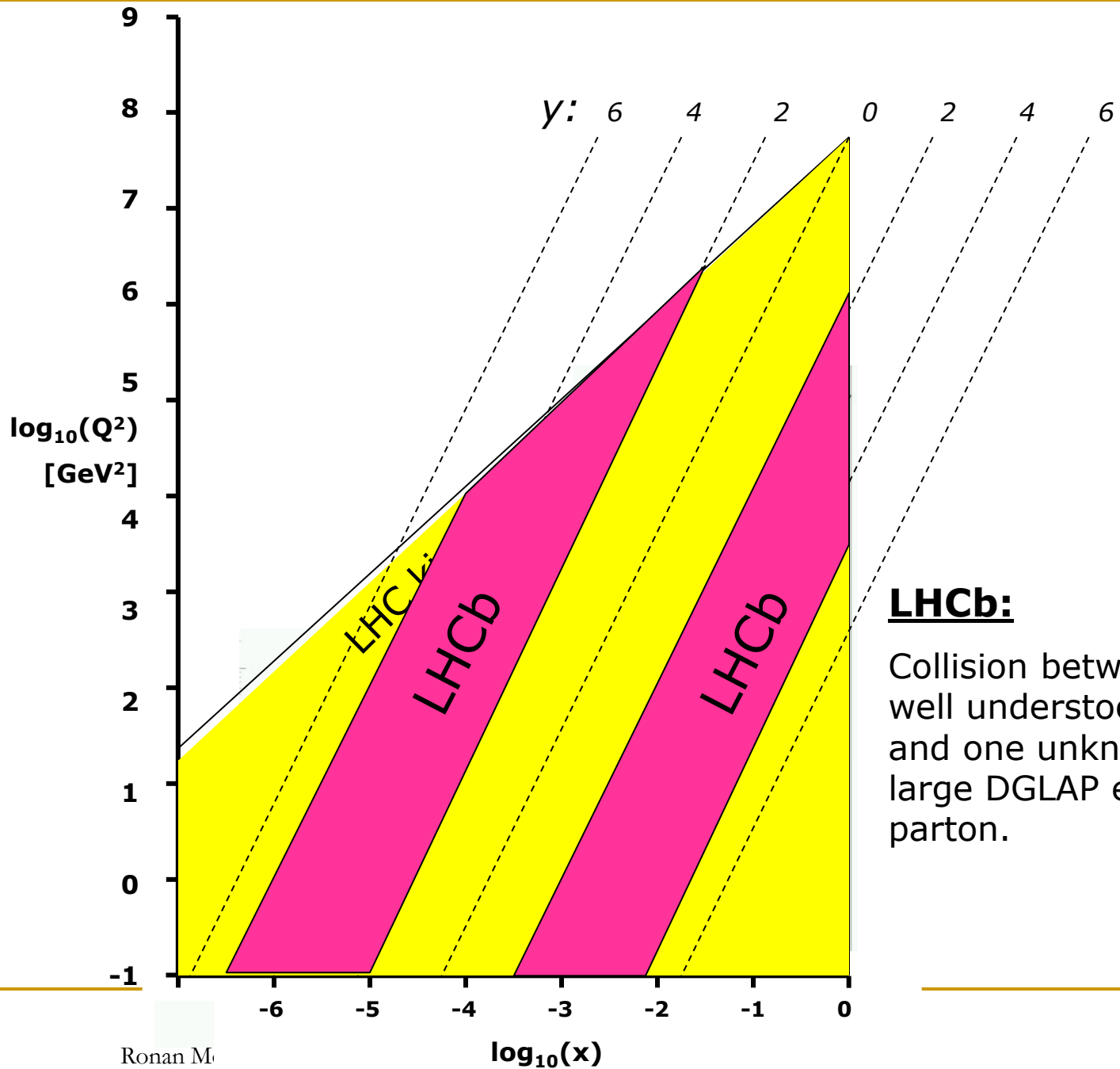






LHCb: a forward spectrometer

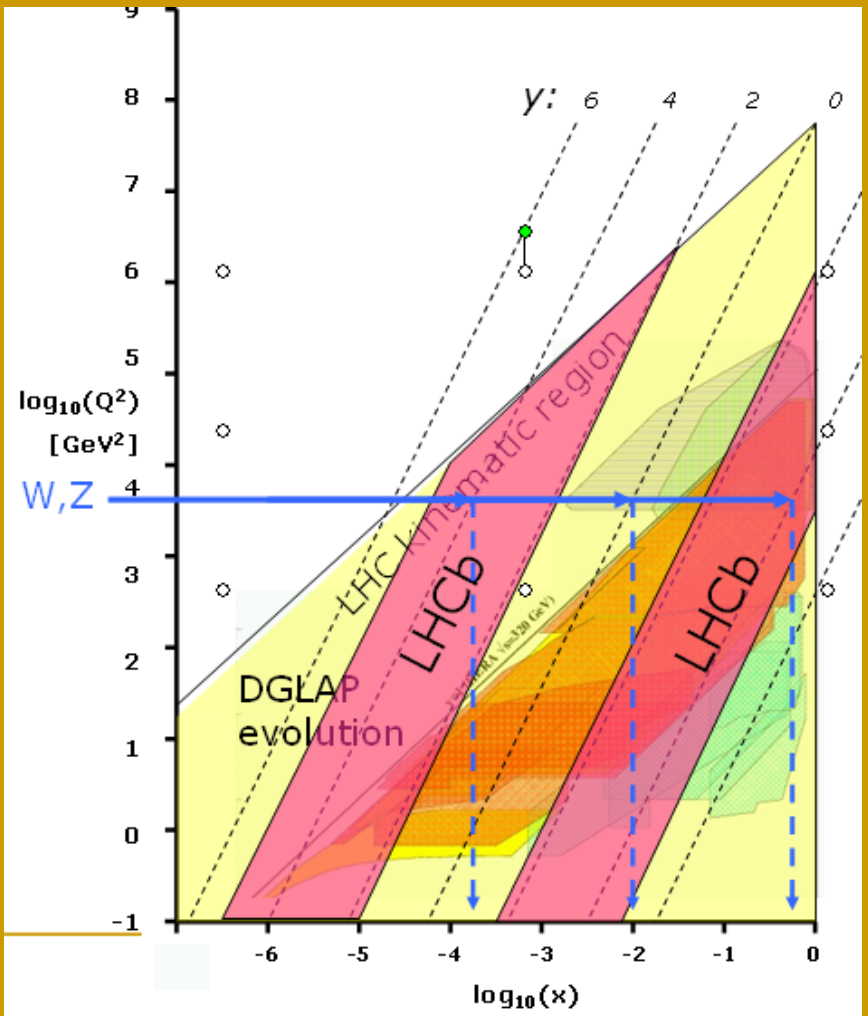
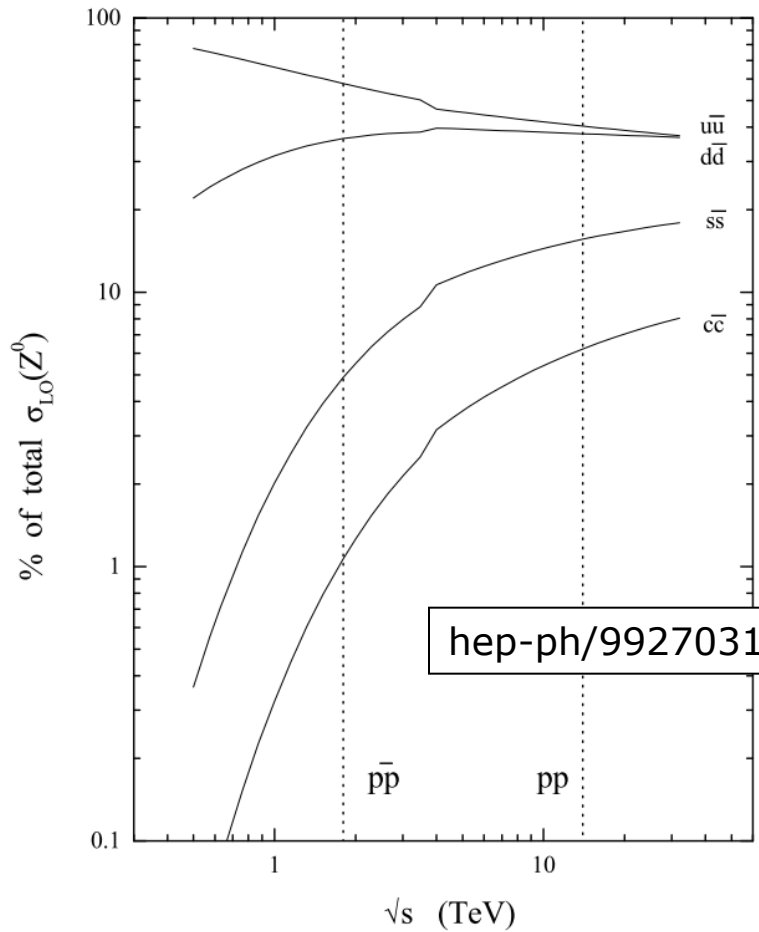




LHCb:

Collision between one well understood parton and one unknown or large DGLAP evolved parton.

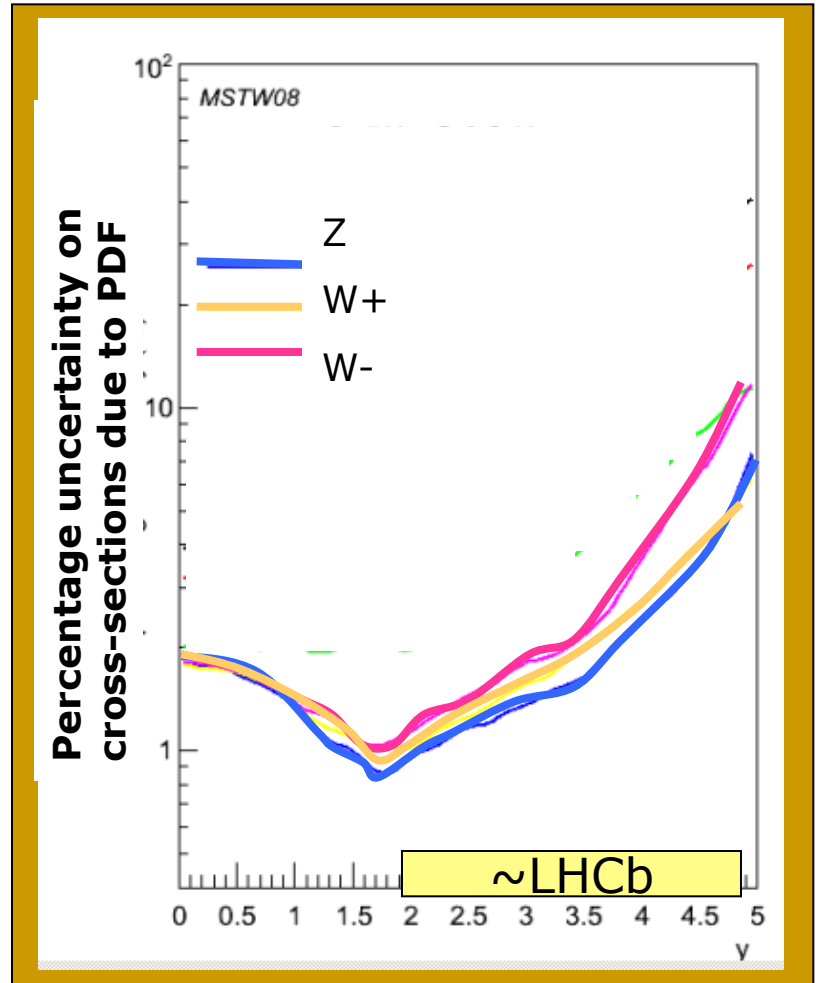
flavour decomposition of Z cross sections



Effect of PDF uncertainties on cross-sections

- Region where the most precise EW tests can be made.
- At highest rapidities, PDFs can be constrained.

- Experimental statistical error $\ll 1\%$.
- Systematic error likely to be $\sim 1\%$



But you can do better !

$$R_{\mp}(y_W) \equiv \frac{d\sigma/dy_W(W^-)}{d\sigma/dy_W(W^+)} \approx \frac{d(x_1)\bar{u}(x_2)}{u(x_1)\bar{d}(x_2)} = \frac{d(x_1)}{u(x_1)} \cdot \frac{\bar{u}(x_2)}{\bar{d}(x_2)} \approx \frac{d(x_1)}{u(x_1)}$$

So ratio of Ws is sensitive to d to u ratio. (For LHCb d_v/u_v)

$$A_{\pm}(y_W) = \frac{d\sigma/dy_W(W^+) - d\sigma/dy_W(W^-)}{d\sigma/dy_W(W^+) + d\sigma/dy_W(W^-)} \approx \frac{u(x_1)\bar{d}(x_2) - d(x_1)\bar{u}(x_2)}{u(x_1)\bar{d}(x_2) + d(x_1)\bar{u}(x_2)} \approx \frac{u(x_1) - d(x_1)}{u(x_1) + d(x_1)}$$

W asymmetry is sensitive to difference in u and d. (For LHCb $u_v - d_v$)

$$R_{Z/W}(y) \equiv \frac{d\sigma/dy(Z^0)}{d\sigma/dy(W^+) + d\sigma/dy(W^-)} \approx \frac{\kappa_u u(x'_1)\bar{u}(x'_2) + \kappa_d d(x'_1)\bar{d}(x'_2)}{|V_{ud}|^2 \{u(x_1)\bar{d}(x_2) + d(x_1)\bar{u}(x_2)\}}$$

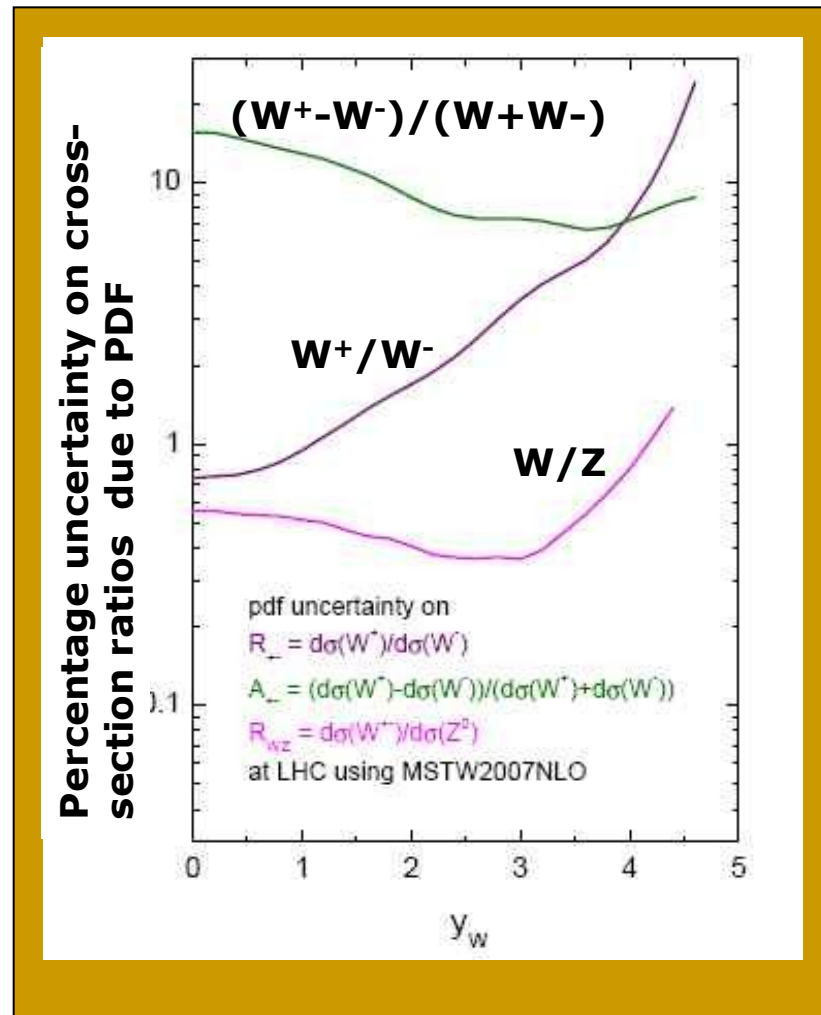
Ratio of Z to W is almost insensitive to PDFs!

Gold plated test of SM at the highest energies

Effect of PDF uncertainties on cross-sections

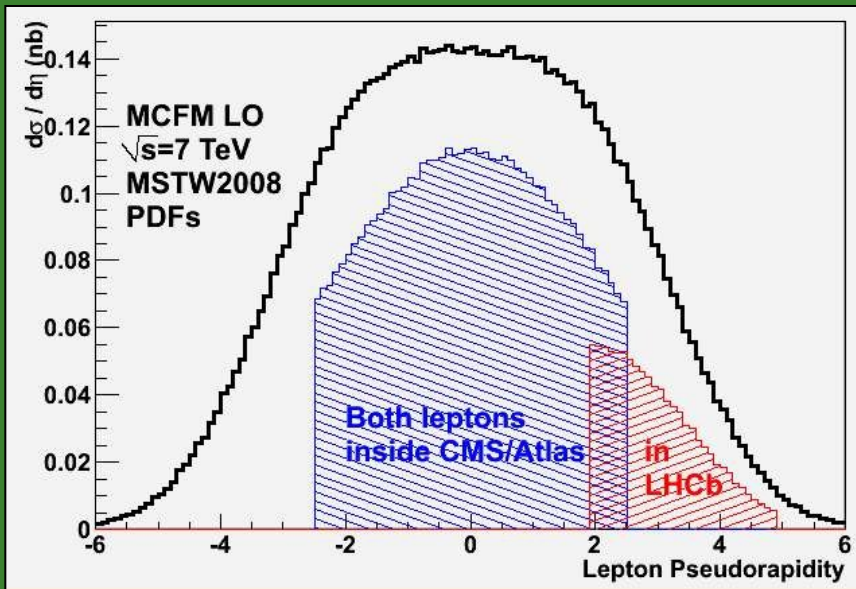
- R_{WZ} precise test of SM everywhere.
- Difference in u and d quarks can be significantly improved by all experiments at the LHC.
- Going forward, you increasingly constrain the u-valence to d-valence ratio.

• Even nicer, most experimental systematics (especially luminosity) cancel in the ratio.

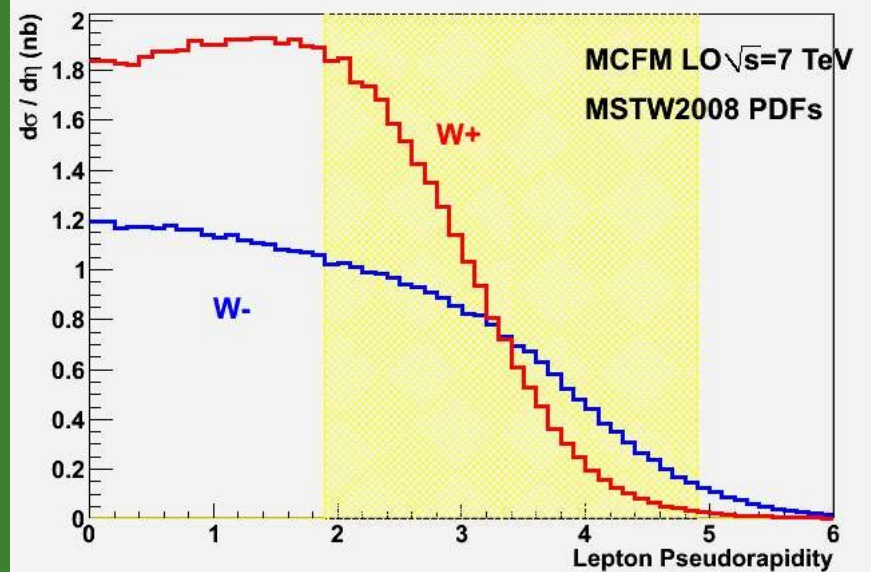


Z Cross-section Measurement at LHCb

$$\sigma(Z \rightarrow \mu\mu : 2 < \eta_{\mu} < 4.5, P_{T\mu} > 20 \text{ GeV}, 81 < M_{\mu\mu} < 101 \text{ GeV})$$



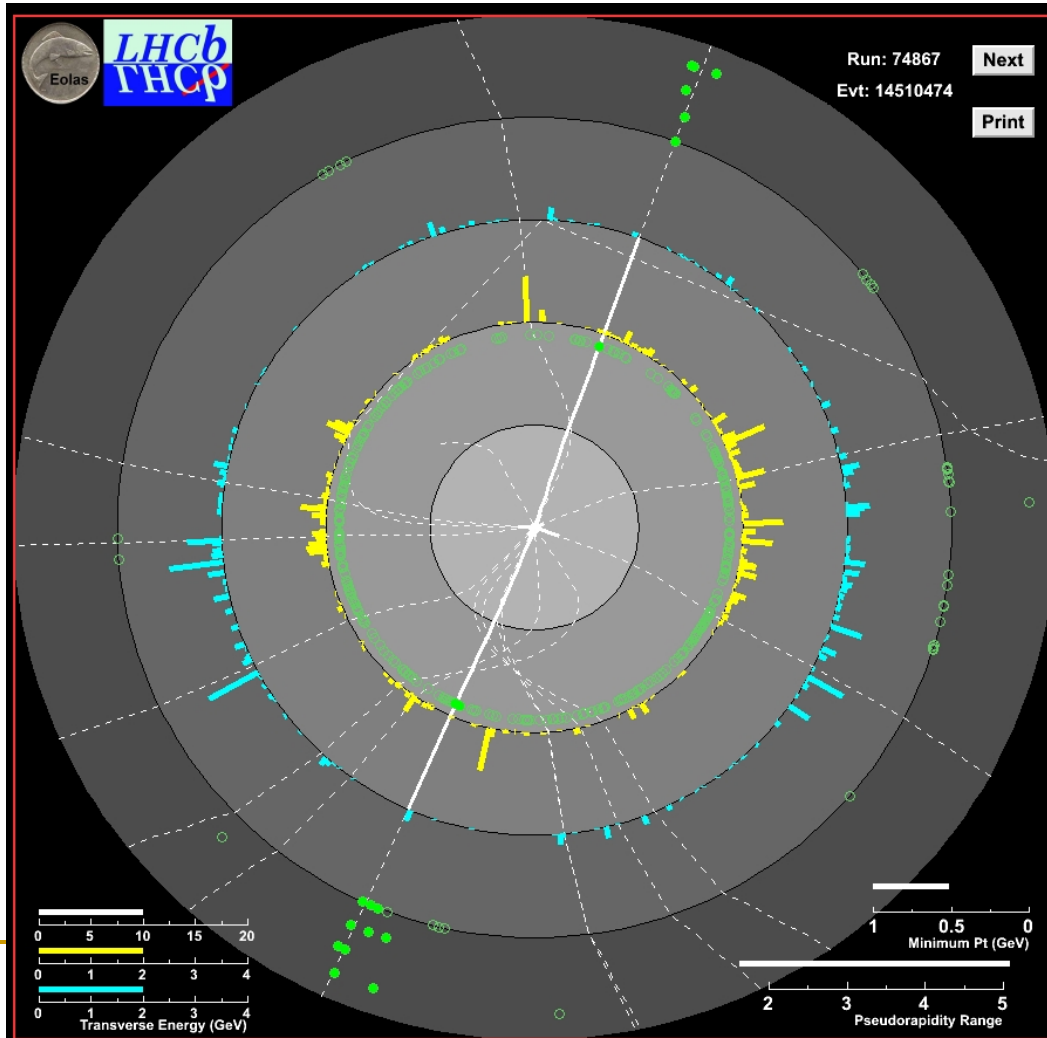
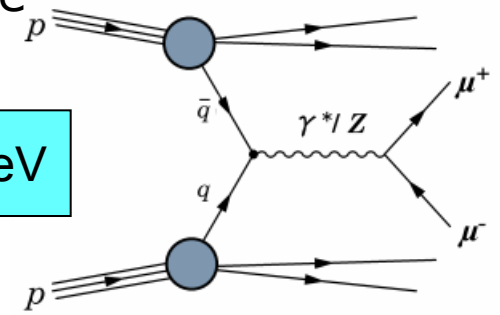
8% of Z within LHCb acceptance



17% (16%) of W^+ (W^-) within LHCb acceptance

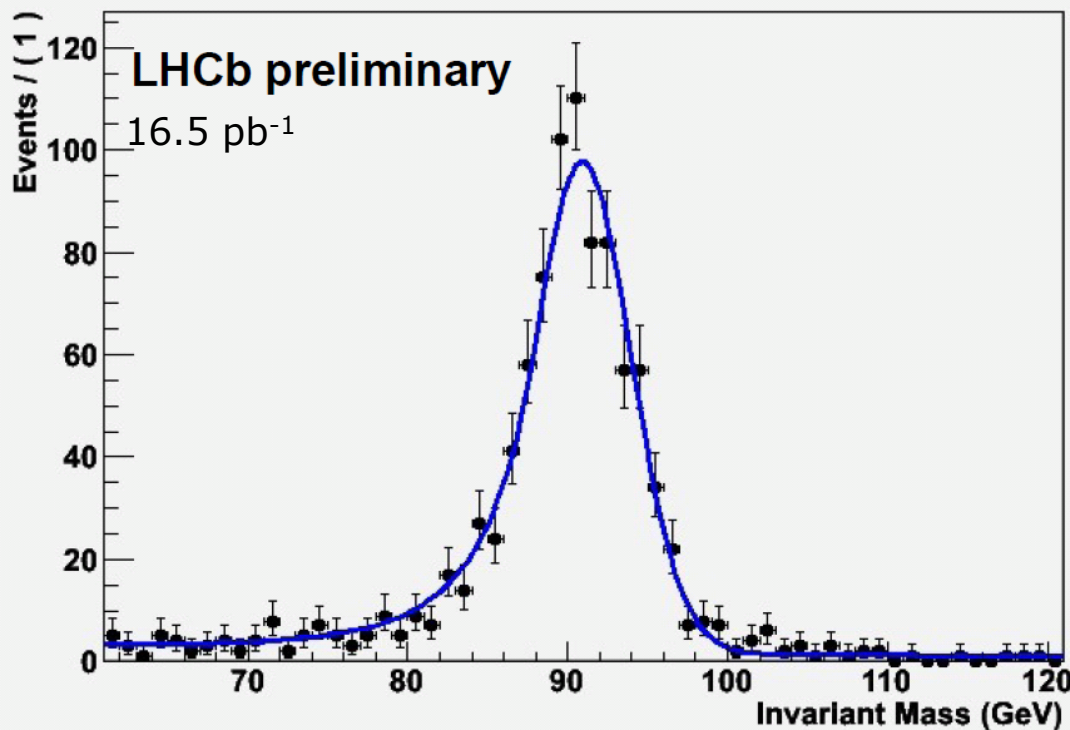
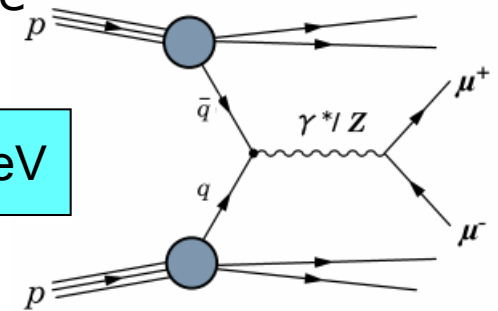
Z: Characteristic signature of two high transverse momentum muons with invariant mass m_Z

Require two muons: $p_t > 20 \text{ GeV}$, $2 < \eta < 4.5$. $81 < M_{\mu\mu} < 101 \text{ GeV}$



Z: Characteristic signature of two high transverse momentum muons with invariant mass m_Z

Require two muons: $p_t > 20 \text{ GeV}$, $2 < \eta < 4.5$. $81 < M_{\mu\mu} < 101 \text{ GeV}$



To turn into cross-section:

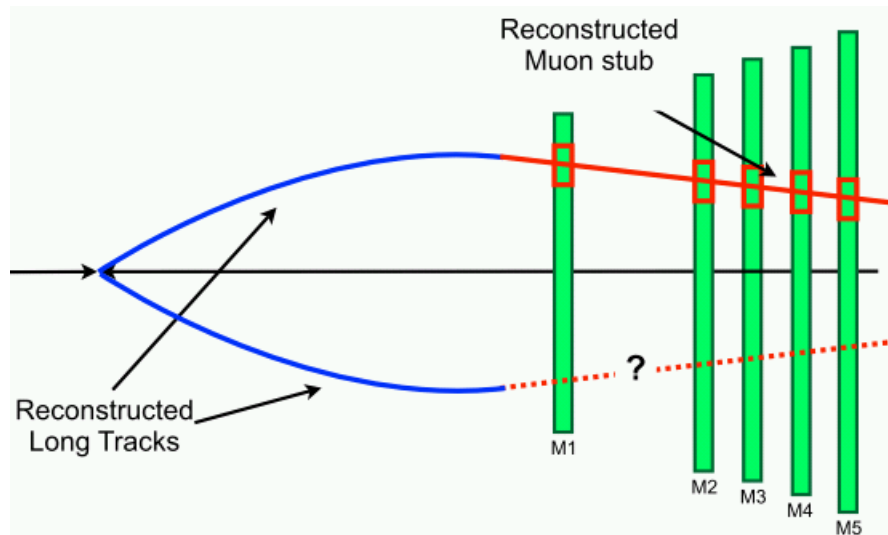
$$\sigma_{Z \rightarrow \mu\mu}(\Delta y) = \frac{N_{tot}^Z - N_{bkg}^Z}{\epsilon_Z L}$$

$$\epsilon_Z = \underbrace{A_Z}_{=1} \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \underbrace{\epsilon_Z^{selection}}_{=1}$$

Inasmuch as possible, take everything from data.

Muon identification efficiency

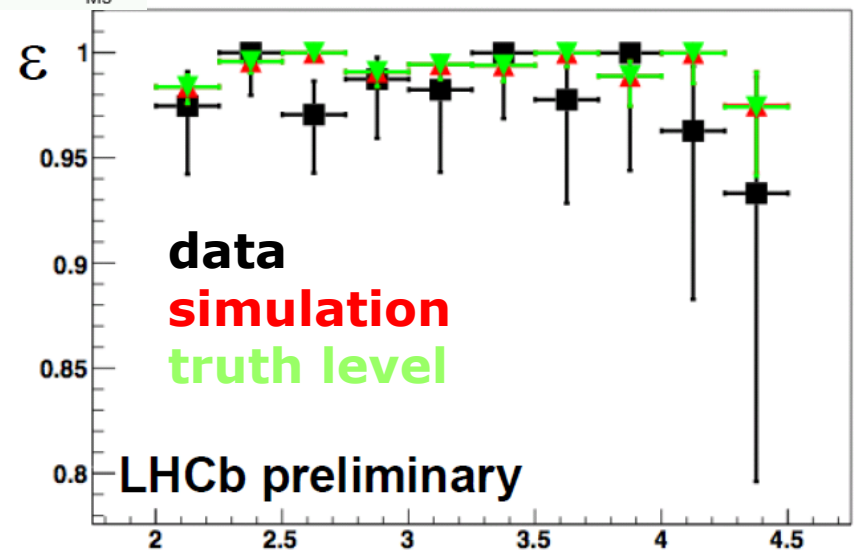
$$\epsilon_Z = A_z \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$



$$\epsilon_W = 98.2 \pm 0.5\%$$

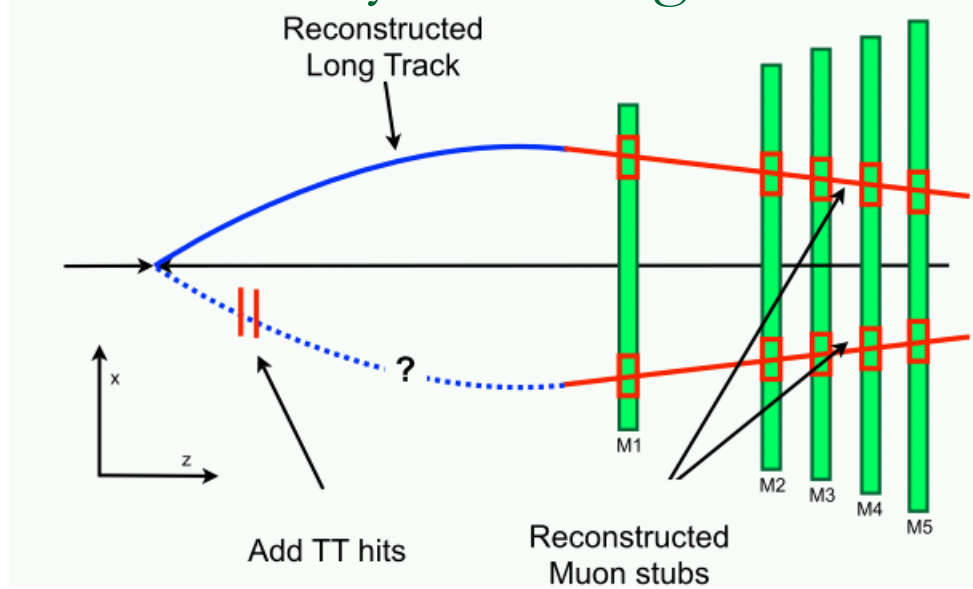
$$\epsilon_Z = 96.5 \pm 0.7\%$$

Efficiency flat in p_T, η, ϕ
 No evidence for charge bias



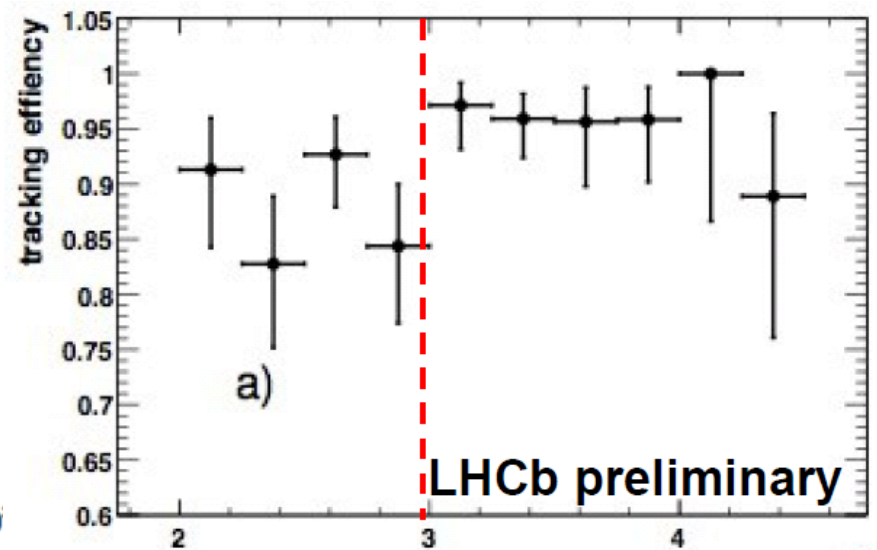
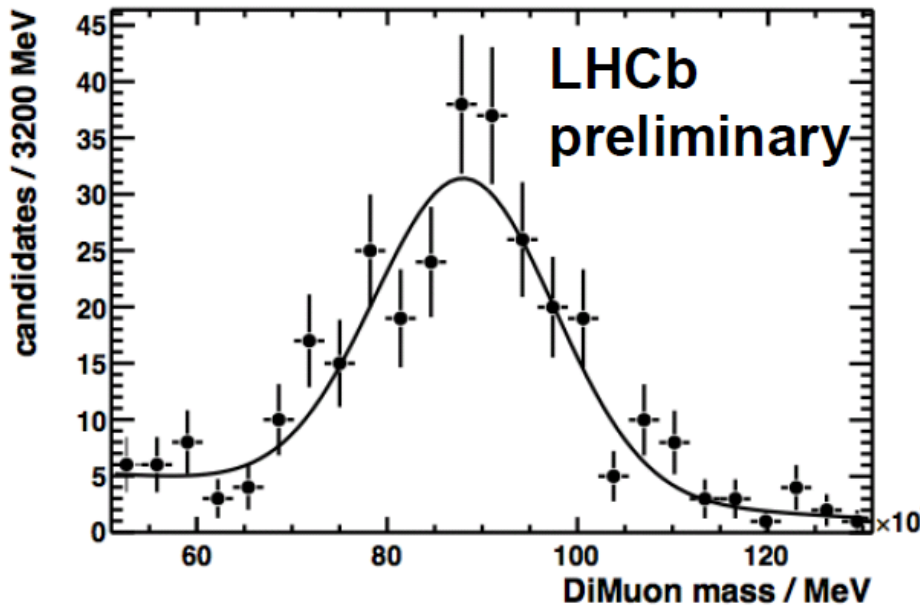
Track Efficiency from Tag and Probe

$$\epsilon_Z = A_z \epsilon_Z^{trigger} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$



$\epsilon_{W^+} = 73 \pm 3\%$
 $\epsilon_{W^-} = 78 \pm 3\%$
 $\epsilon_Z = 83 \pm 3\%$

(W+/W- differ due to lepton η distribution)

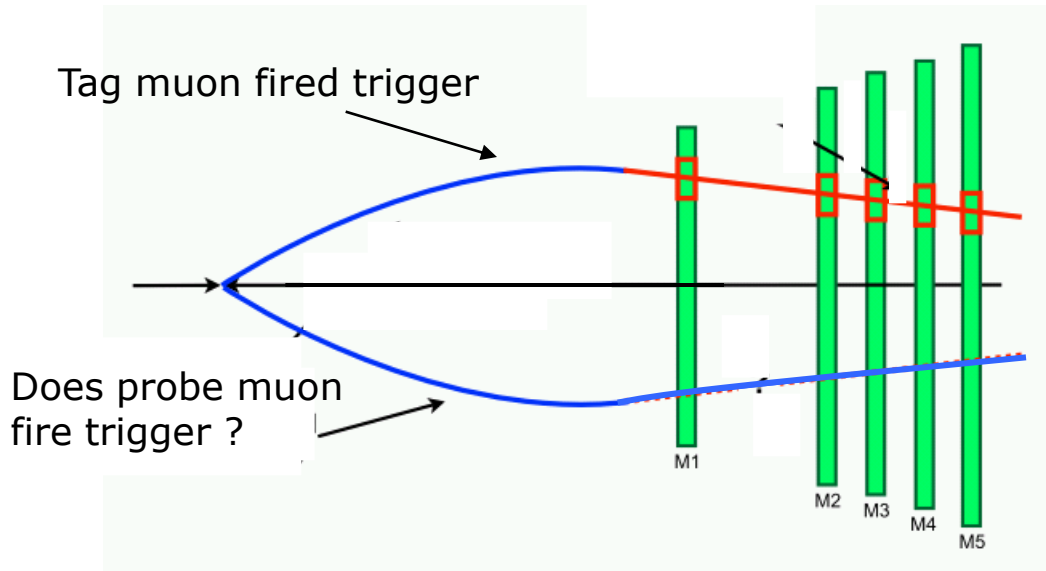


(flat in p_T and ϕ)

η

Trigger Efficiency from Tag and Probe

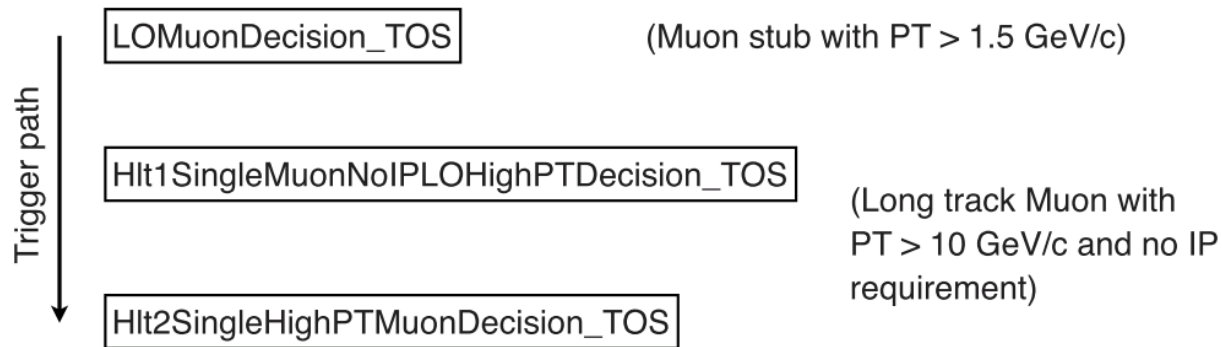
$$\epsilon_Z = A \cdot \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$



$$\epsilon_W = 0.9 \cdot (80.5 \pm 1.4)\%$$

$$\epsilon_Z = 0.9 \cdot (95.7 \pm 0.5)\%$$

(Global cuts:
Very large events
rejected by trigger)



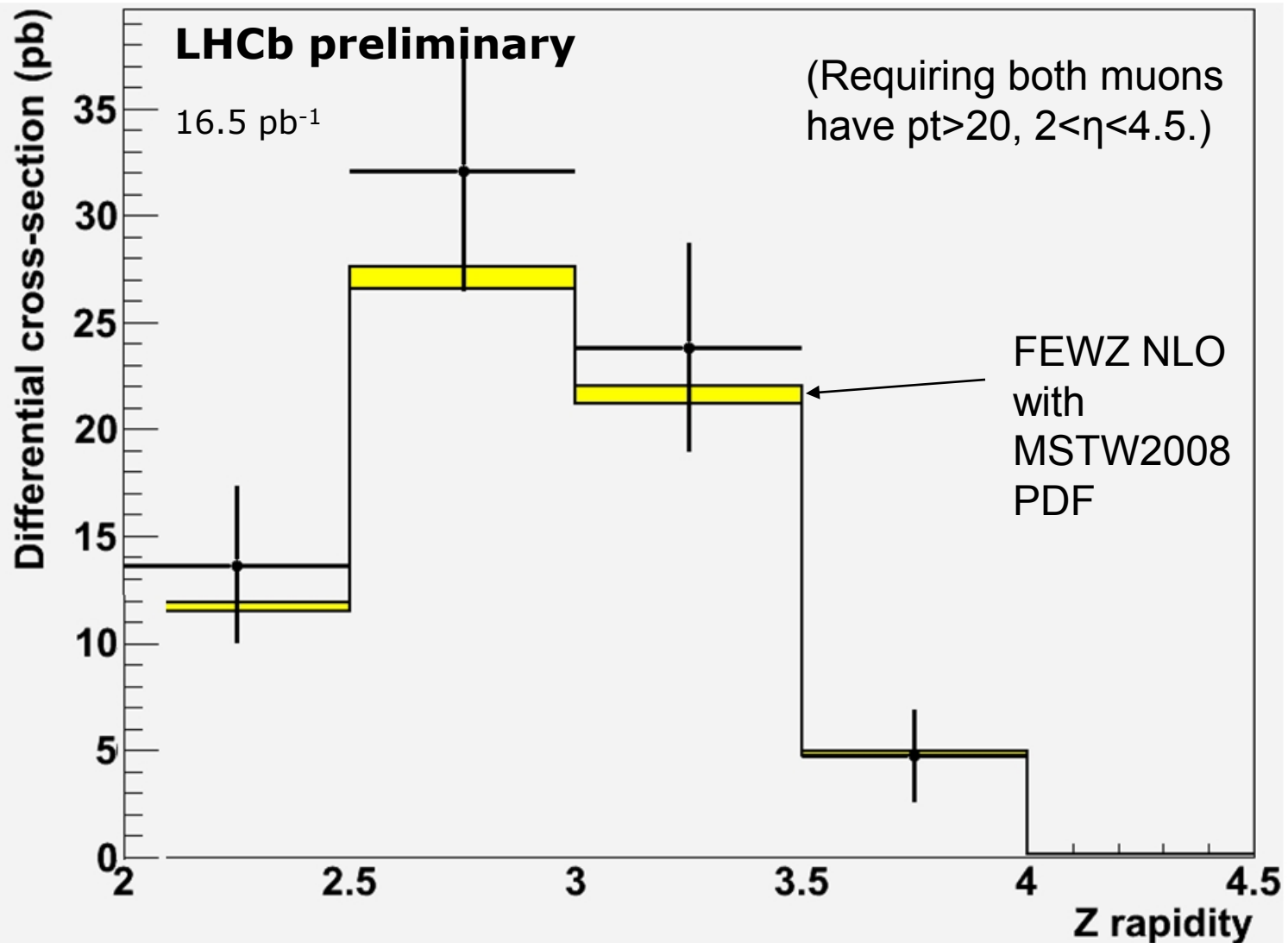
Z analysis

$$\sigma_{Z \rightarrow \mu\mu}(\Delta y) = \frac{N_{tot}^Z - N_{bkg}^Z}{\epsilon_Z L}$$

N_Z^{tot}	833
$Z \rightarrow \tau\tau$	0.2 ± 0.2
Heavy flavours	1 ± 1
Misidentified π/K	$\ll 1$
N_Z^{bkg}	1.2 ± 1.2
ϵ_Z^{trig}	0.86 ± 0.01
ϵ_Z^{track}	0.83 ± 0.03
ϵ_Z^{muon}	0.97 ± 0.01
ϵ_{sel}^Z	1.
A^Z	1.
ϵ_Z	0.69 ± 0.03
L	$16.5 \pm 1.7 pb^{-1}$
$\sigma_Z(2. < \eta_1, \eta_2 < 4.5, 81 < m_Z < 101)$	$73 \pm 4 \pm 7 pb.$

↑ Phase space for measurement ↑

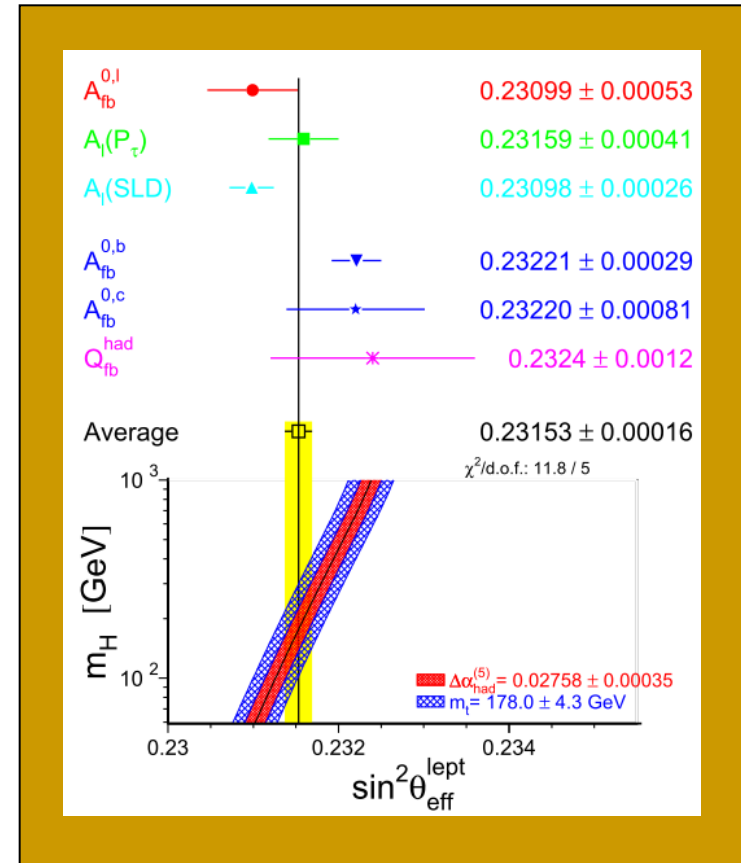
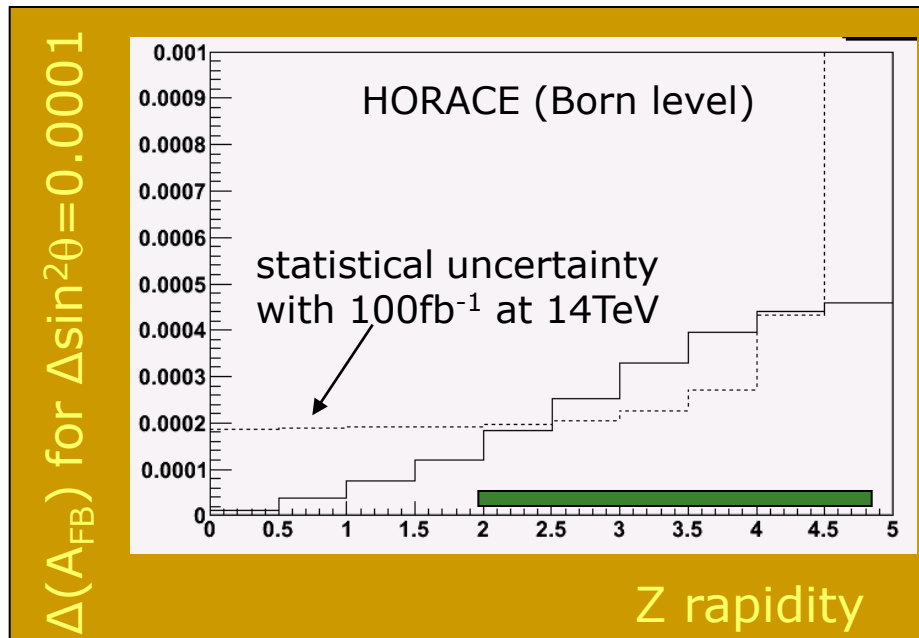
Differential distribution (Z)



Measuring A_{FB} in $pp \rightarrow Z \rightarrow \mu\mu$?

$$A_{FB}^0 = 3/4 A_\mu (u A_u + d A_d + s A_s)$$

- LHC Problems: 1. PDF uncertainties
2. which is quark direction?



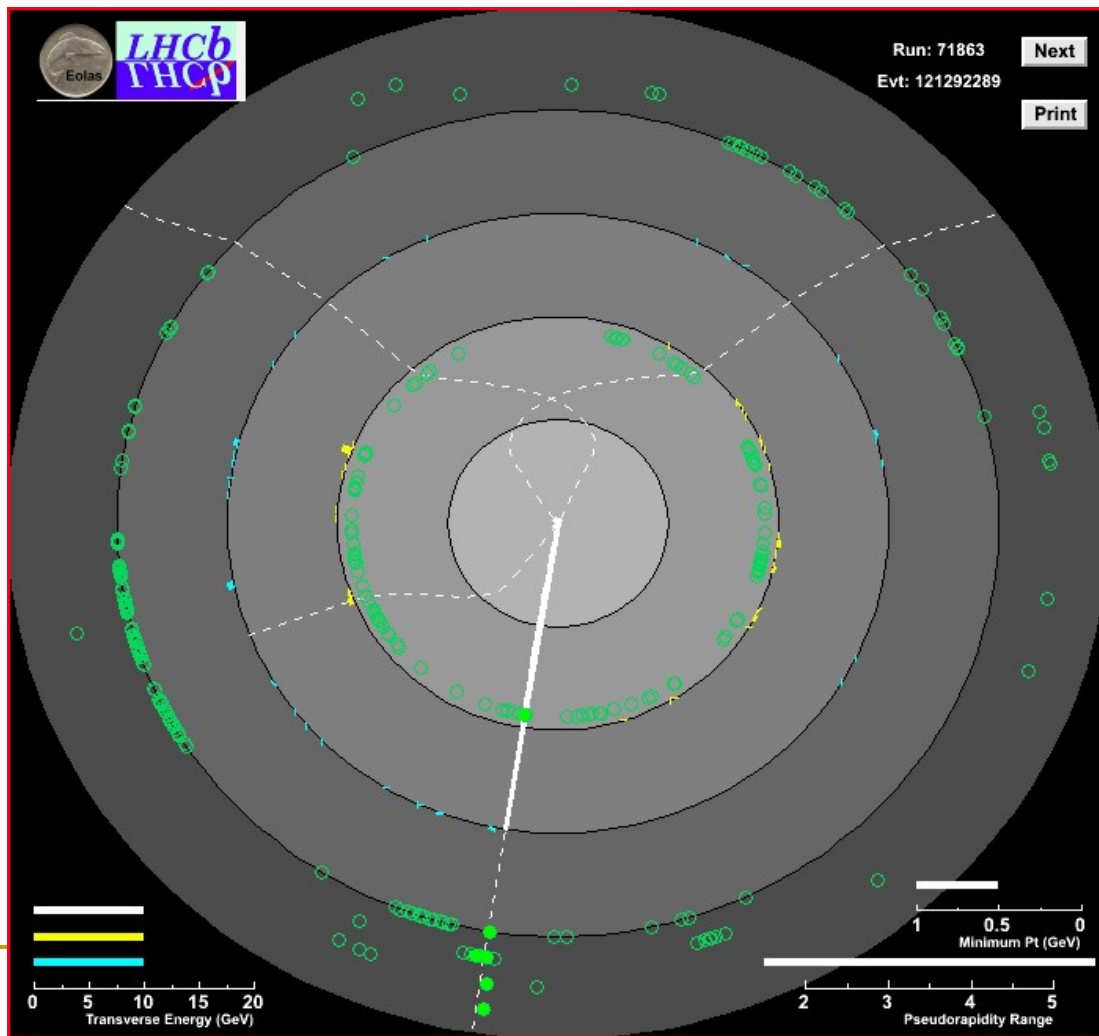
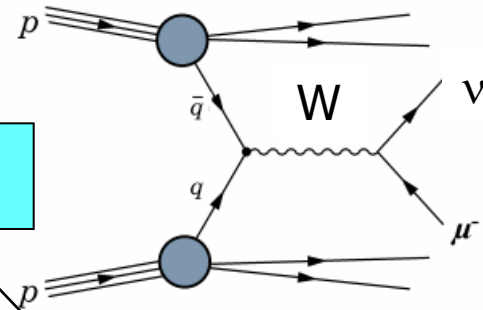
Statistically, a forward detector at high luminosity could measure A_{FB} with better precision than current WA.
How confident are we of theory? of PDF uncertainties? of detector systematics?

W Cross-section Measurement at LHCb

$$\sigma(W \rightarrow \mu\nu : 2 < \eta_{\mu} < 4.5, P_{T\mu} > 20 \text{ GeV})$$

W One high transverse momentum muon with little else. Background much larger than for Z

Require muon $p_t > 20\text{GeV}$ + little activity in 'rest of event'

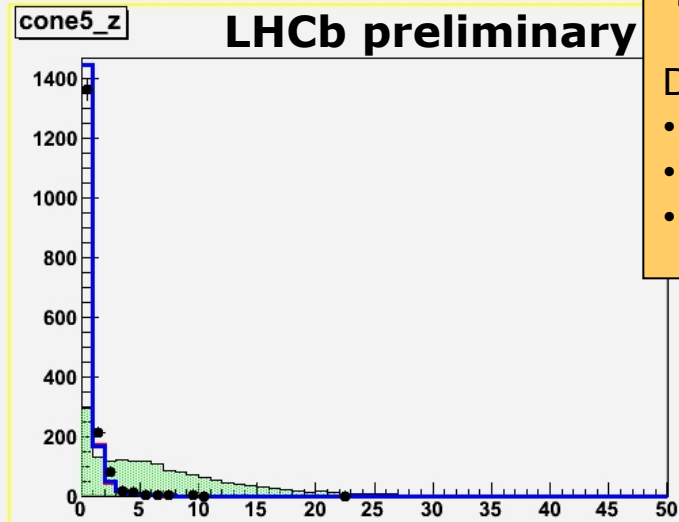
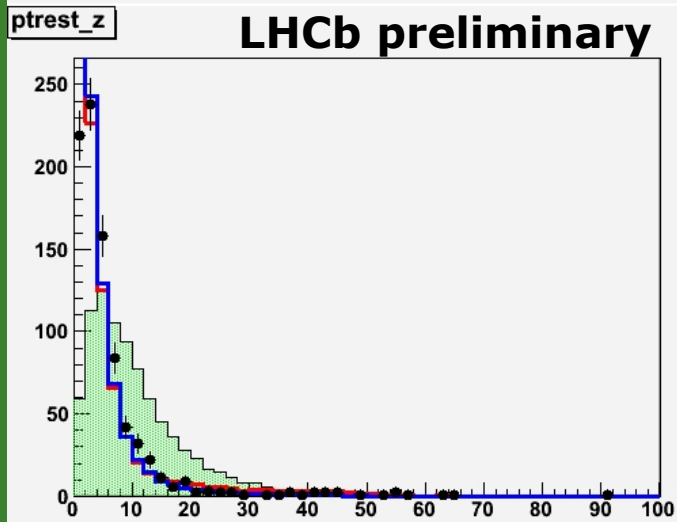
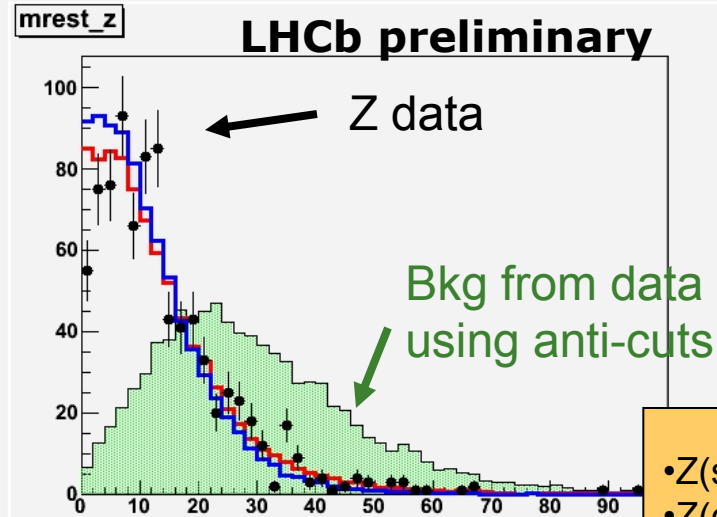
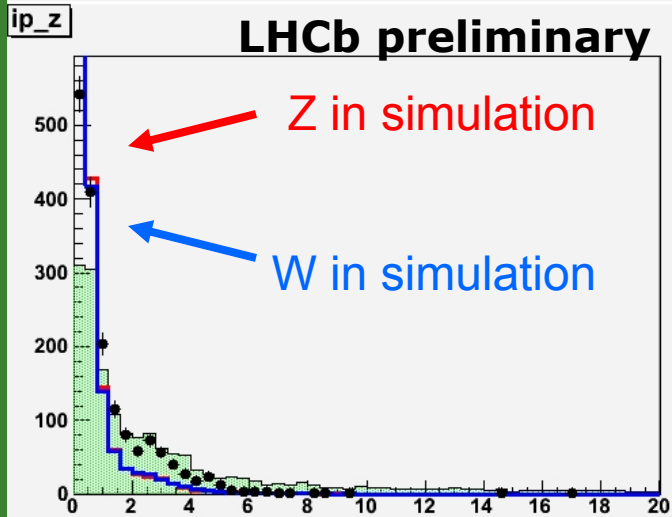


Can be found using Z events **in data**

Selecting W events

- pt of muon ($>20\text{GeV}$)
- ip significance of muon (<2)
- Mass of *rest of event* ($<20\text{ GeV}$)
- Pt of *rest of event* ($<10\text{ GeV}$)
- Charged transverse momentum in cone of 0.5 units of $\sqrt{(\Delta\eta)^2+(\Delta\Phi)^2}$ around muon. ($<2\text{ GeV}$)

W analysis

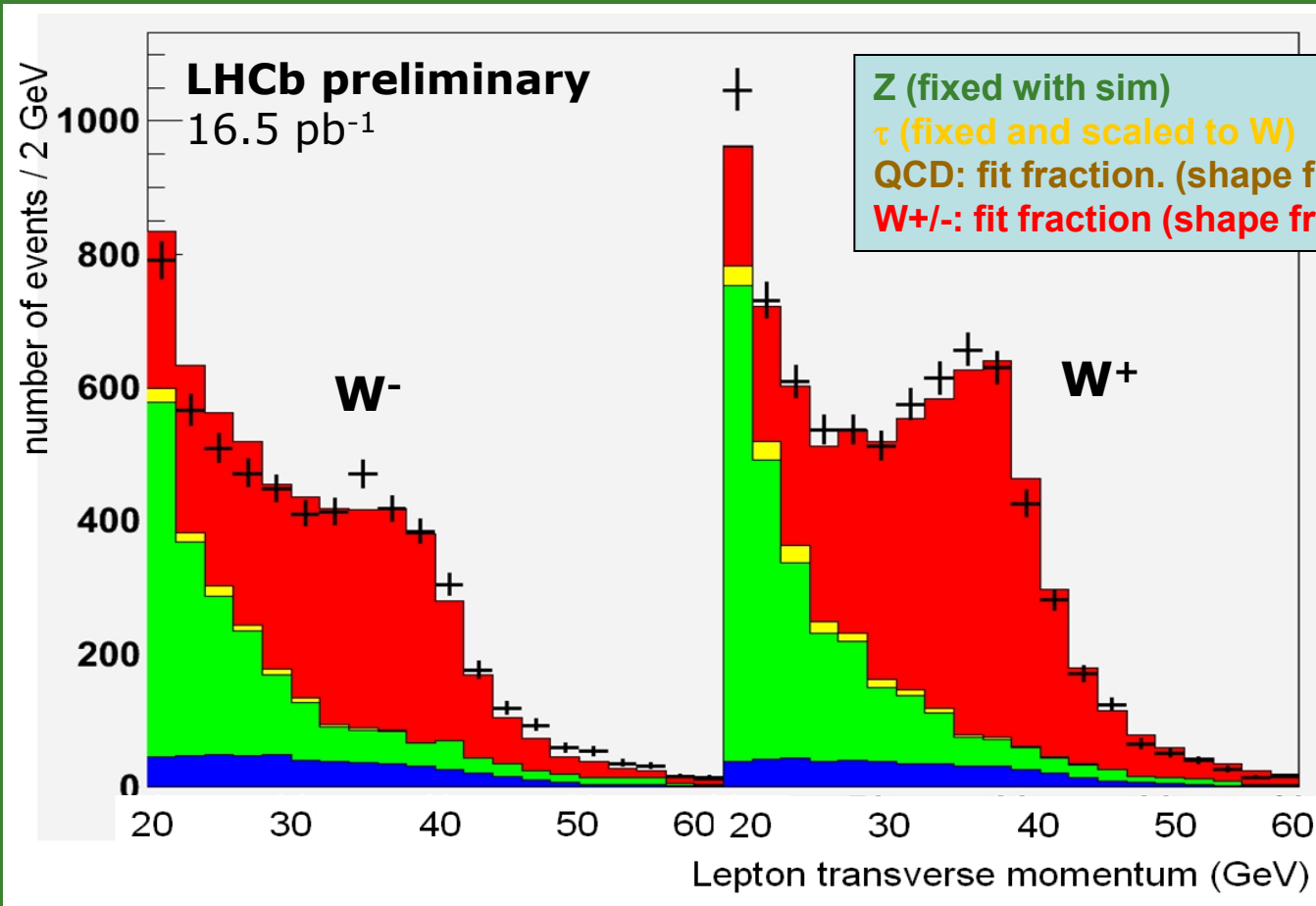


- $Z(\text{sim}) = W(\text{sim})$
- $Z(\text{data}) \sim Z(\text{sim})$
- $\text{Bkg}(\text{data}) \neq Z(\text{data})$

Data derived:

- cuts;
- efficiency;
- purity.

W analysis



$$\sigma_{W \rightarrow \mu\nu}(\Delta\eta) = \frac{N_{tot}^W - N_{bkg}^W}{\epsilon_W L} \longrightarrow \frac{N_{tot}^W}{L} \left(\frac{p_W}{\epsilon_W} \right)$$

and all found from data.

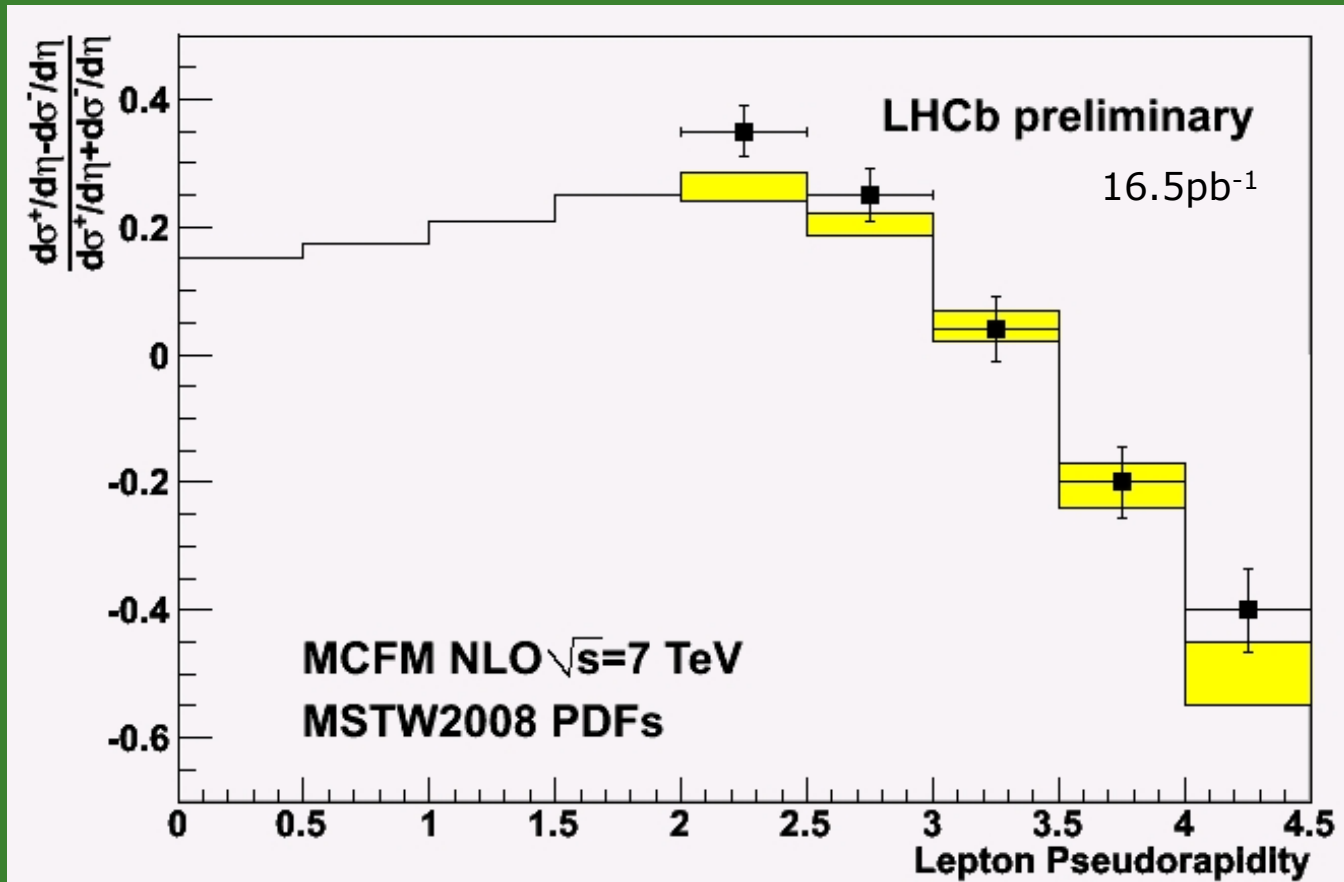
W analysis

$$\sigma_{W \rightarrow \mu\nu}(\Delta\eta) = \frac{N_{tot}^W - N_{bkg}^W}{\epsilon_W L}$$

	W+	W-
N_W^{tot}	7624	5732
$W \rightarrow \tau\nu$	151	90
$Z \rightarrow \tau\tau$	2	2
$Z \rightarrow \mu\mu$	460	506
QCD	2194 ± 150	1654 ± 150
N_W	4817 ± 165	3480 ± 161
ϵ_{trig}^W	0.725 ± 0.03	
ϵ_{track}^W	0.73 ± 0.03	0.78 ± 0.03
ϵ_{muon}^W	0.982 ± 0.005	
ϵ_{sel}^W	0.55 ± 0.01	
A^W	1	1
ϵ_W	0.29 ± 0.01	0.31 ± 0.01
N_W^{tot}	16610 ± 800	11226 ± 650
L	$16.5 \pm 1.7 \text{ pb}^{-1}$	$16.5 \pm 1.7 \text{ pb}^{-1}$
$\sigma_W(2.0 < y < 4.5)$	$1007 \pm 48 \pm 100 \text{ pb}$	$682 \pm 40 \pm 68 \text{ pb}$

(Measurement as function of lepton rapidity)

W asymmetry

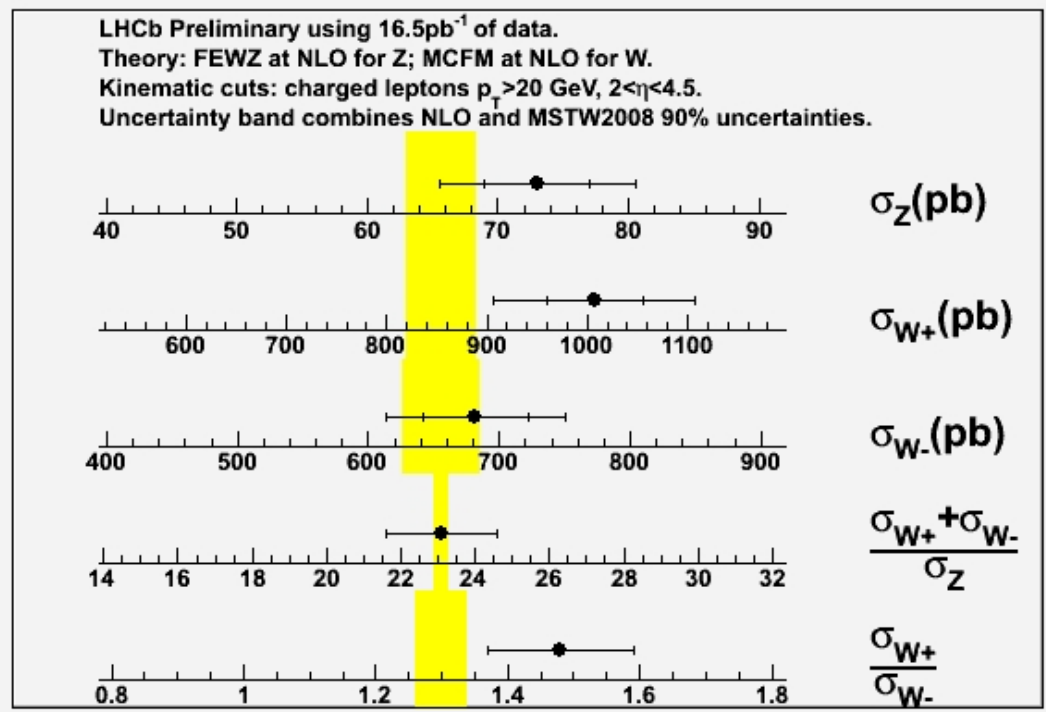


W,Z Summary

$$\frac{\sigma_{W^+}(2.0 < \eta_\mu < 4.5) + \sigma_{W^-}(2.0 < \eta_\mu < 4.5)}{\sigma_Z(2.0 < y < 4.5)}$$

Generator	Order	PDF Set	Z	W+	W-	(W+ + W-)/Z	W+/W-
FEWZ	NLO	MSTW08NLO CTEQ66NLO NNPDF2.0	$65.7^{+2.9}_{-2.5}$				
MCFM		MSTW08NLO CTEQ66NLO NNPDF2.0	$65.5^{+2.8}_{-2.5}$	855 ± 43	656 ± 39	23.1 ± 0.1	1.30 ± 0.05
FEWZ	NNLO	MSTW08NNLO					
Data			$73 \pm 4 \pm 7.5$	$1007 \pm 48 \pm 101$	$682 \pm 40 \pm 68$	23.1 ± 1.5	1.48 ± 0.11

LHCb preliminary

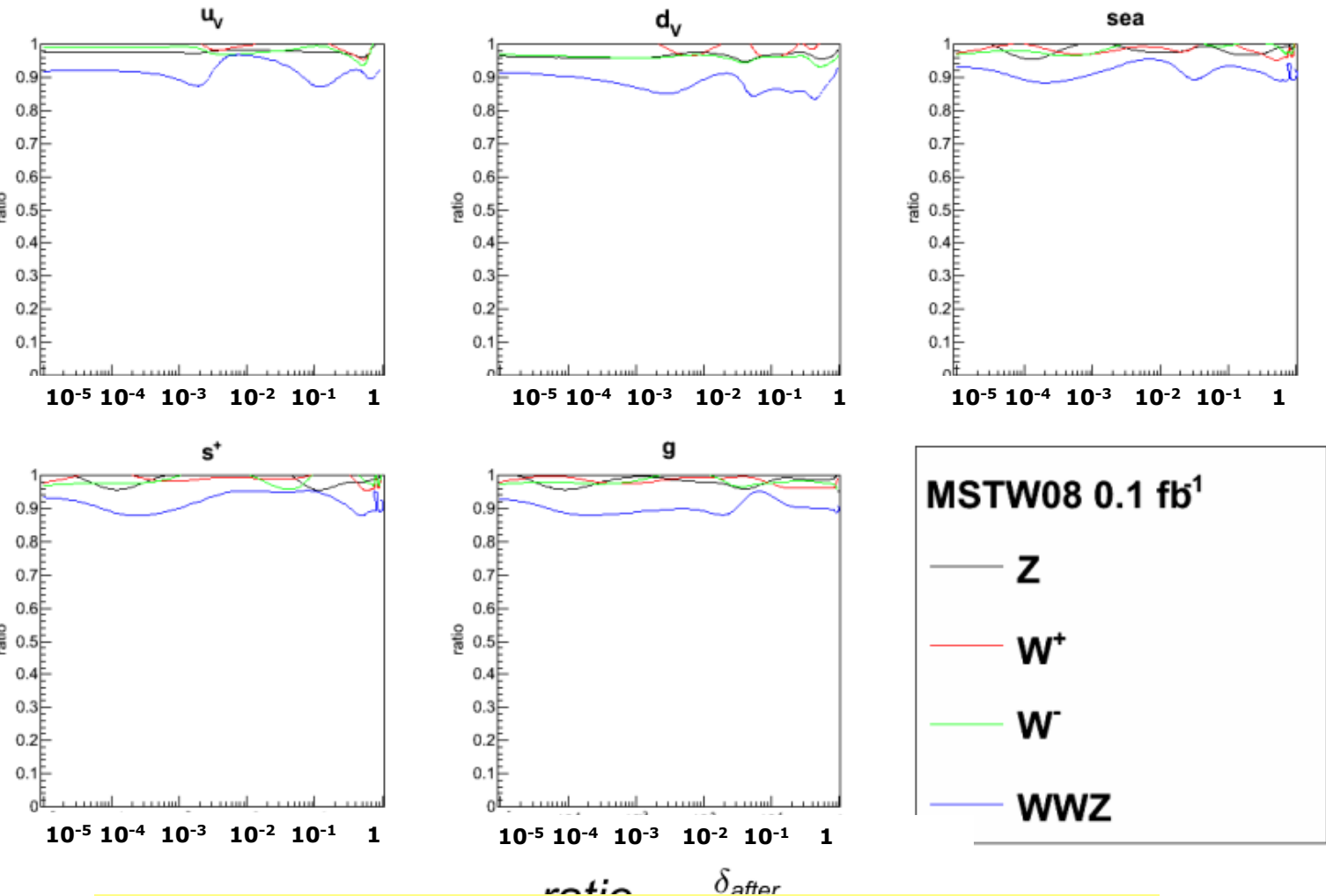


How well can W, Z measurements
constrain the PDFs?

Improvement to **MSTW08 PDFs** with 0.1fb^{-1} of high mass vector bosons at 7TeV

Uncertainty on PDF with 0.1fb^{-1} of LHCb data

Uncertainty on PDF without LHCb data

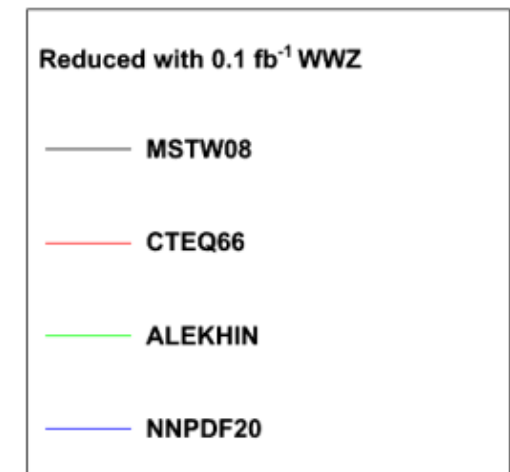
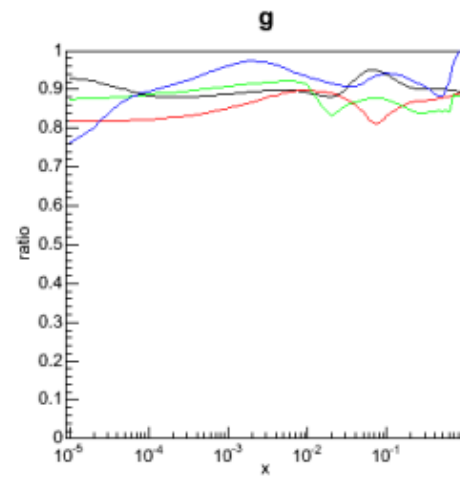
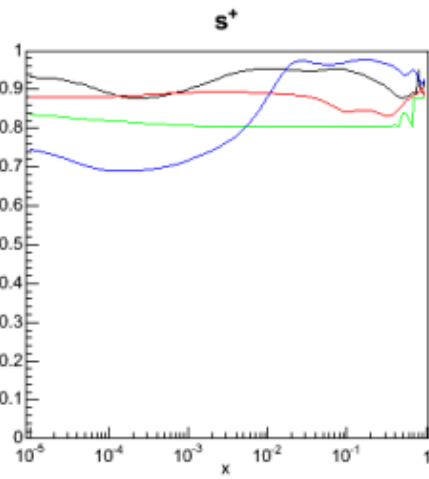
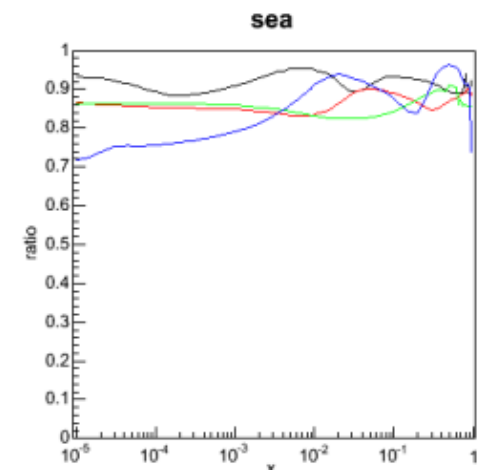
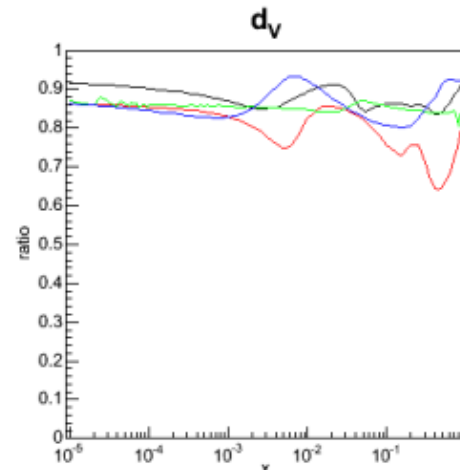
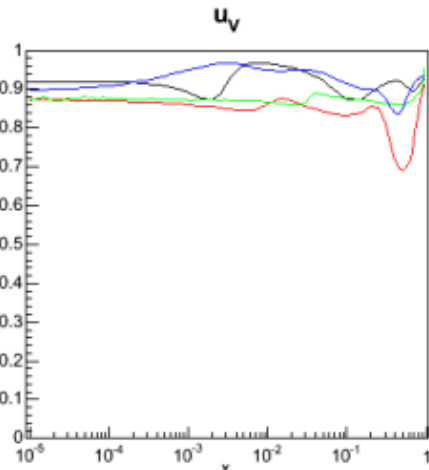


Modest improvement with small amount of data

Comparison with different PDFs using 0.1 fb⁻¹ of high mass vector bosons at 7TeV

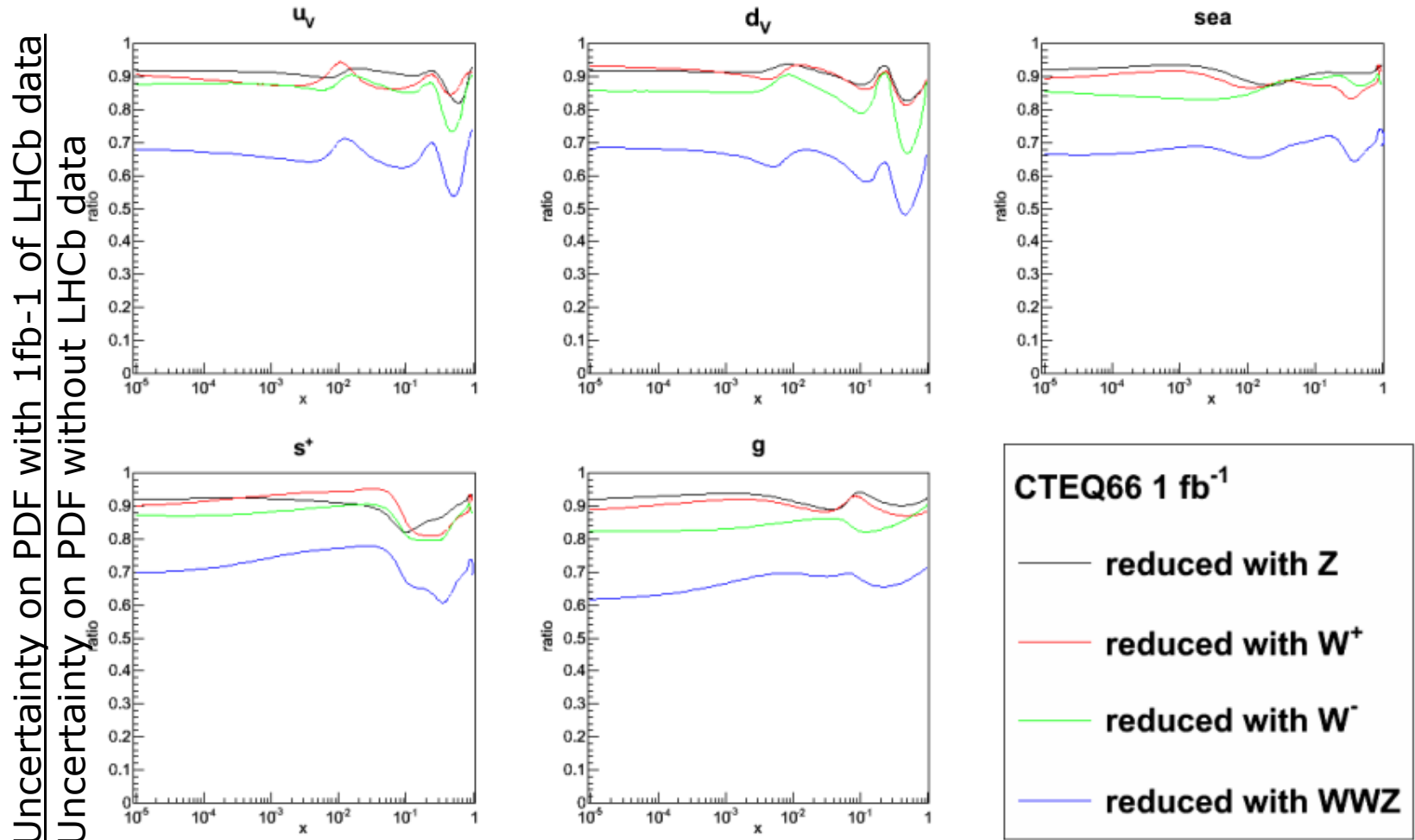
Uncertainty on PDF with 0.1fb⁻¹ of LHCb data

Uncertainty on PDF without LHCb data



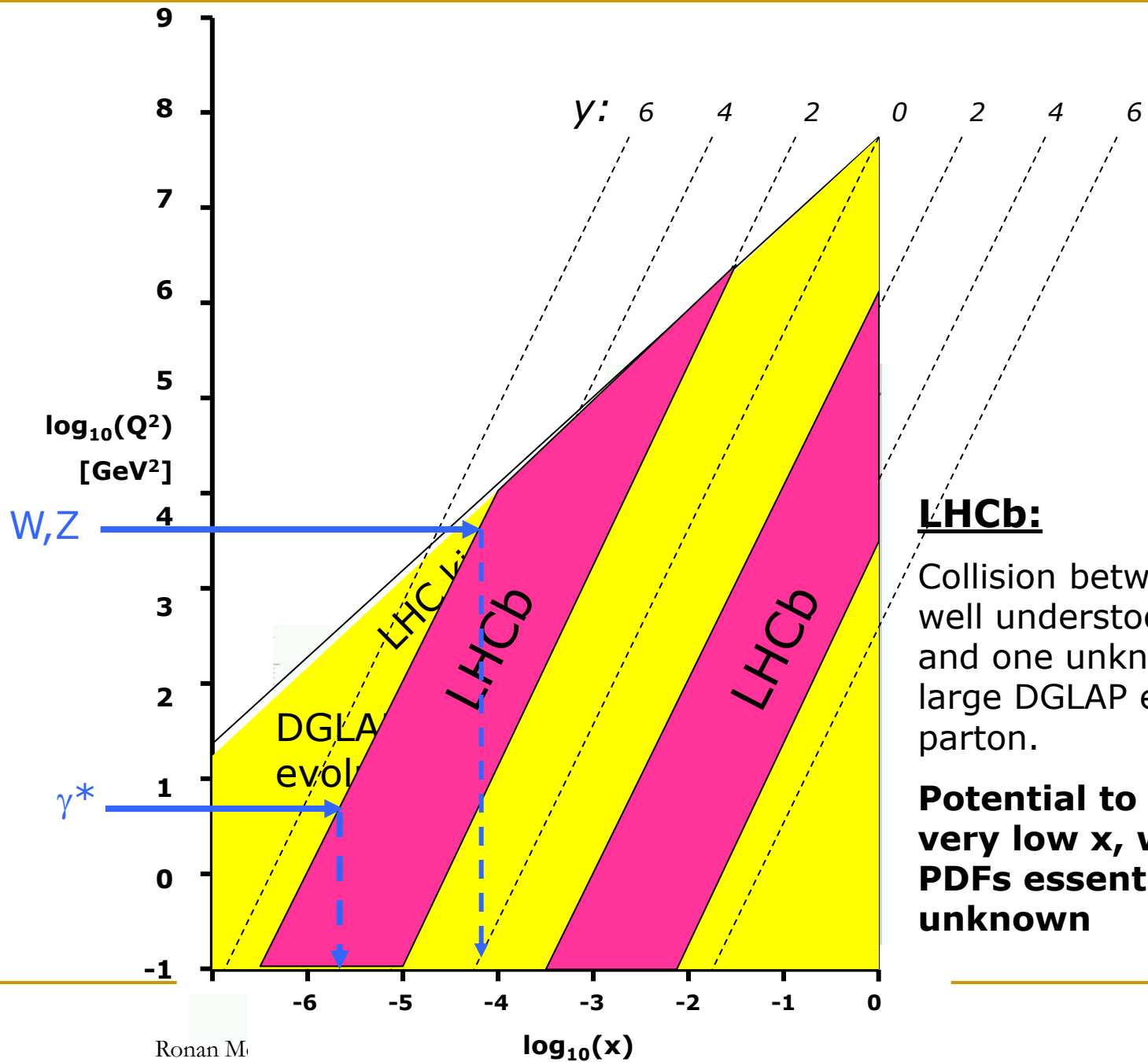
Similar sensitivity. Ability to distinguish models

Improvement to **CTEQ66 PDFs** with 1 fb-1 of high mass vector bosons at 14 TeV



More data and higher energy lead to larger improvements.

Using γ^* to go to very low-x.

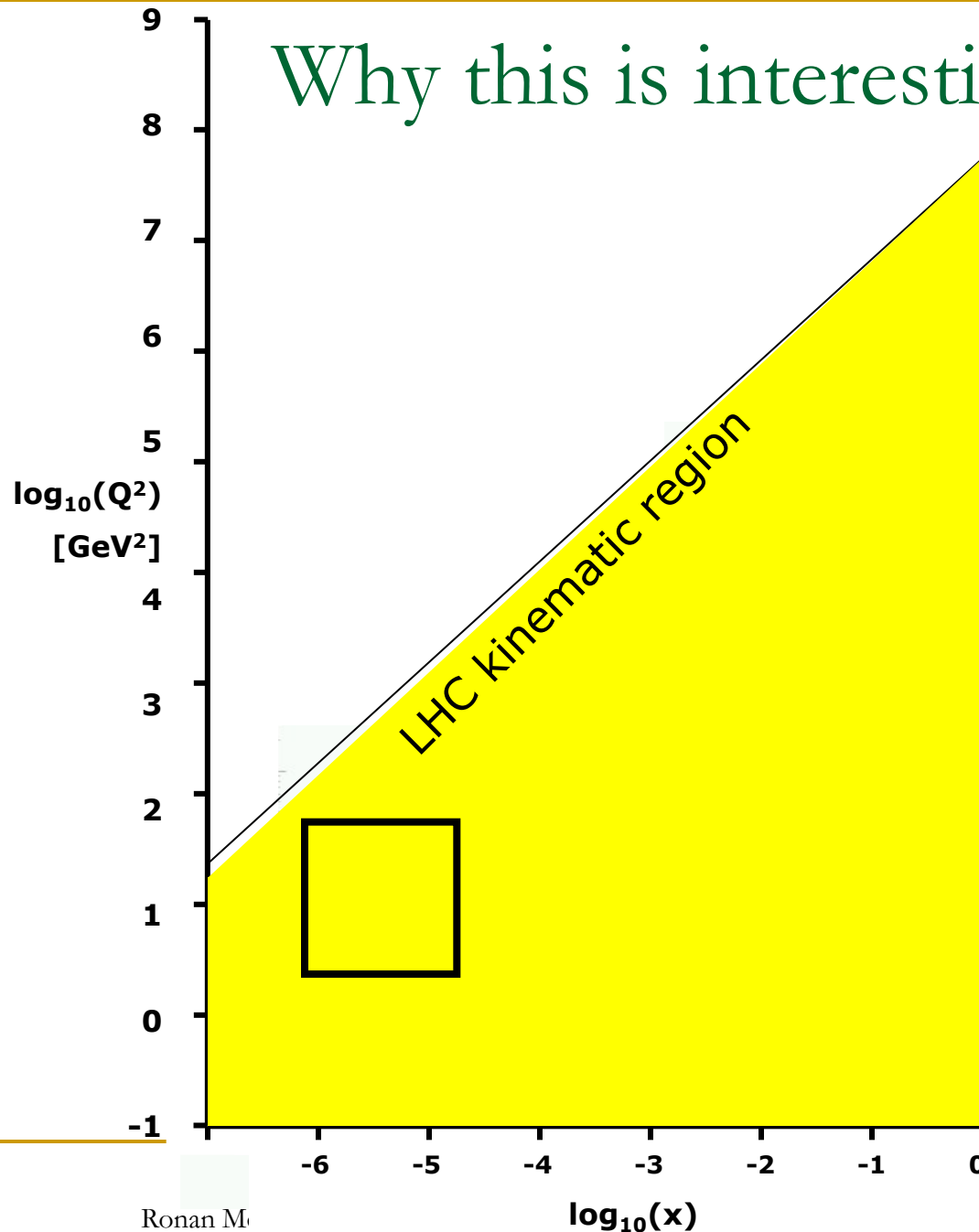


LHCb:

Collision between one well understood parton and one unknown or large DGLAP evolved parton.

Potential to go to very low x , where PDFs essentially unknown

Why this is interesting...

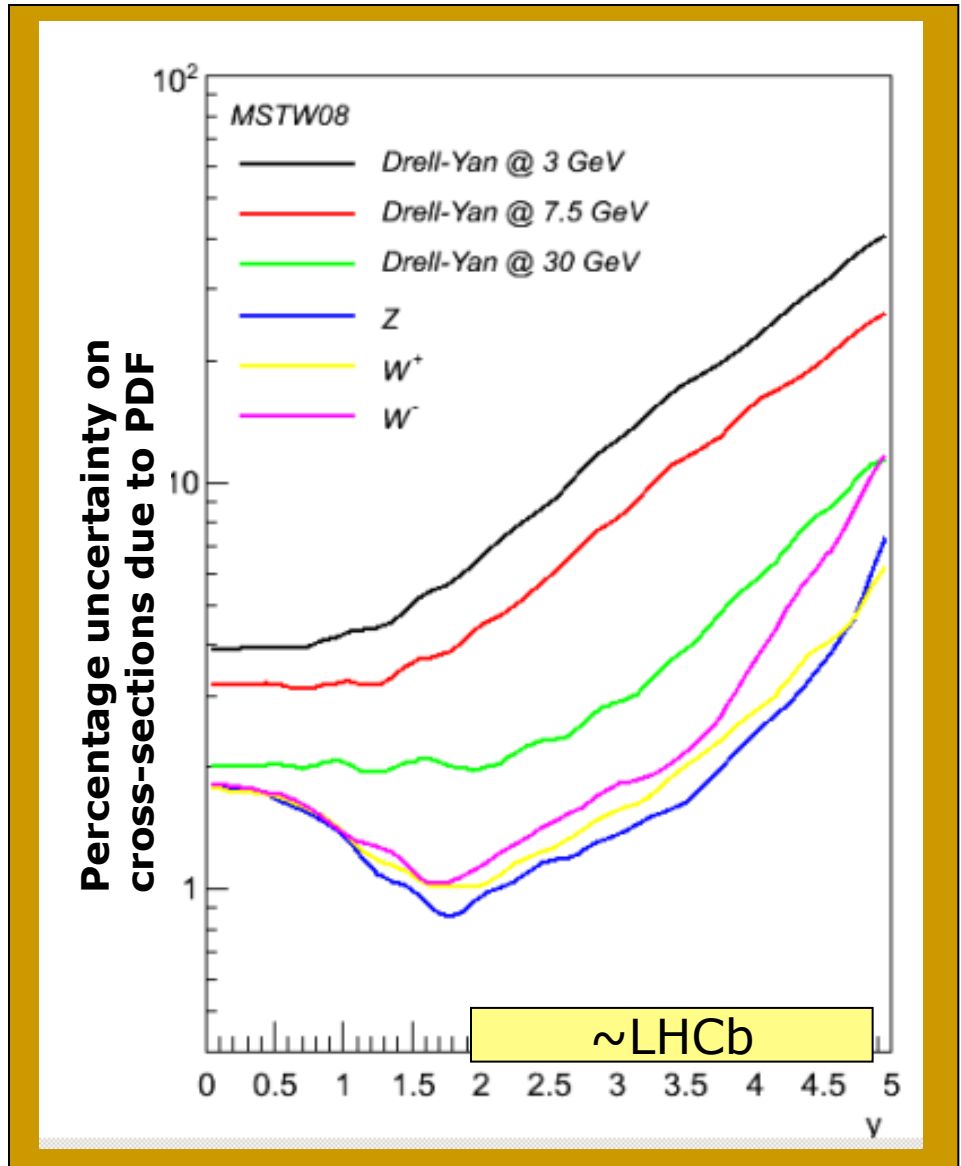


Unexplored region
Very little HERA
data at this x

More theoretical
work required to
make predictions

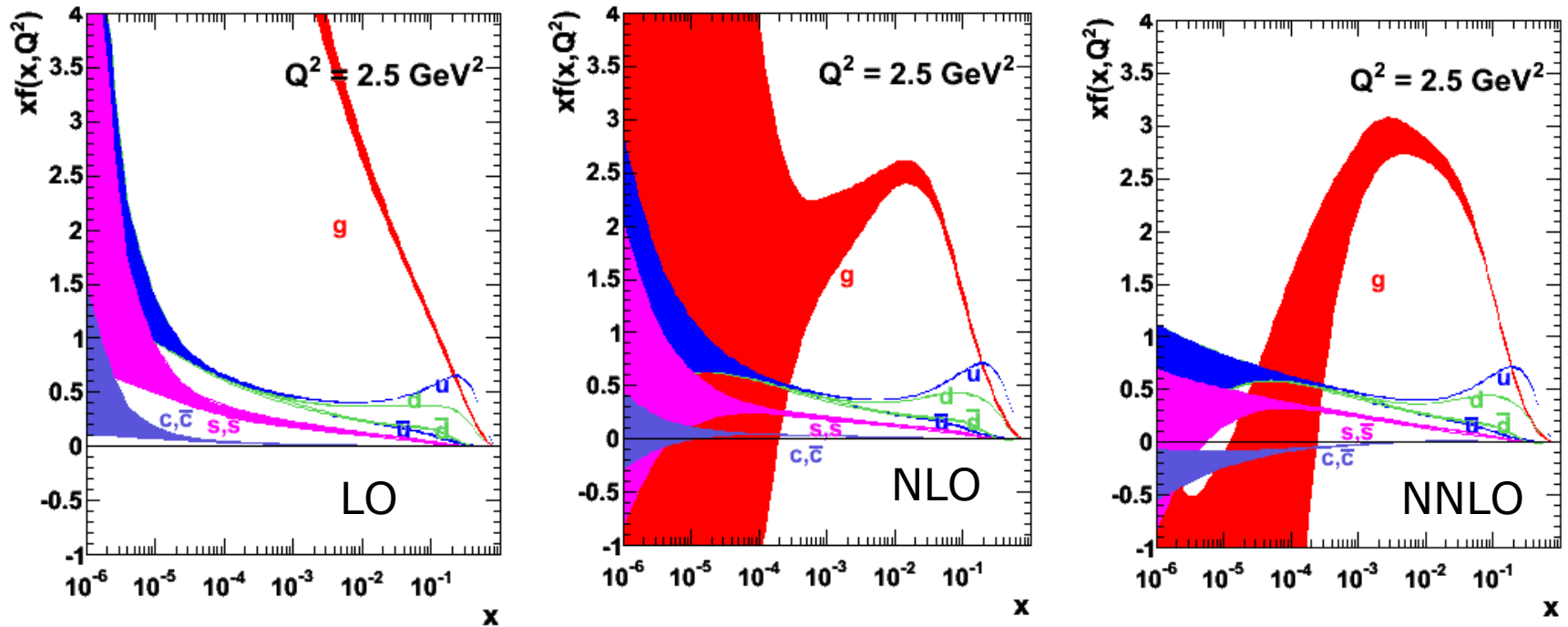
Sensitivity to
saturation?

Effect of PDF uncertainties on cross-sections



PDF uncertainties at low- x , low- Q^2

MSTW08. (Thanks to Graeme Watt)

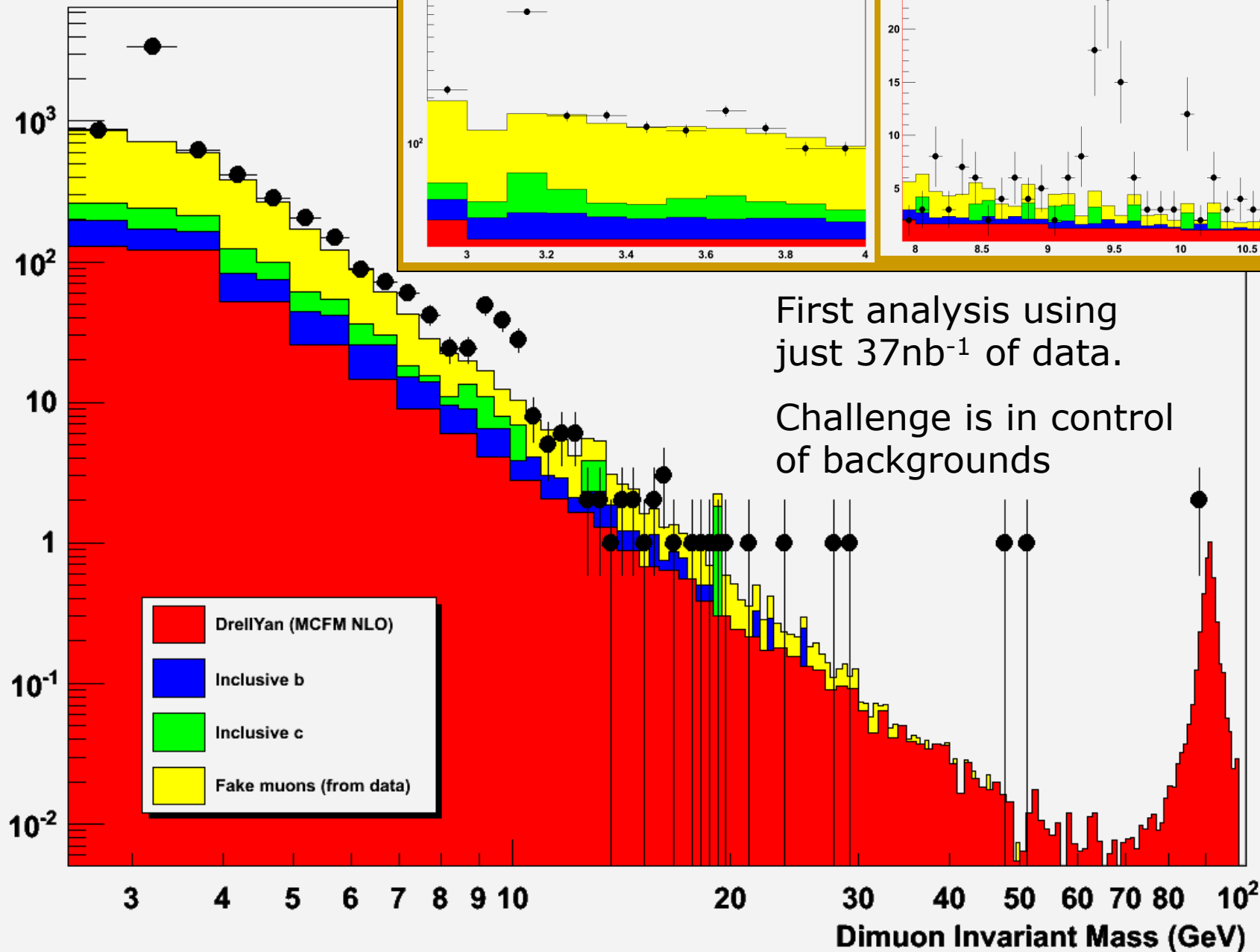


Different behaviour and uncertainty with order of calculation.

Gluon essentially unconstrained by data below 10^{-4}

DGLAP evolution not trustworthy in this region. Gluon re-summation effects. Possibly entering saturation regime.

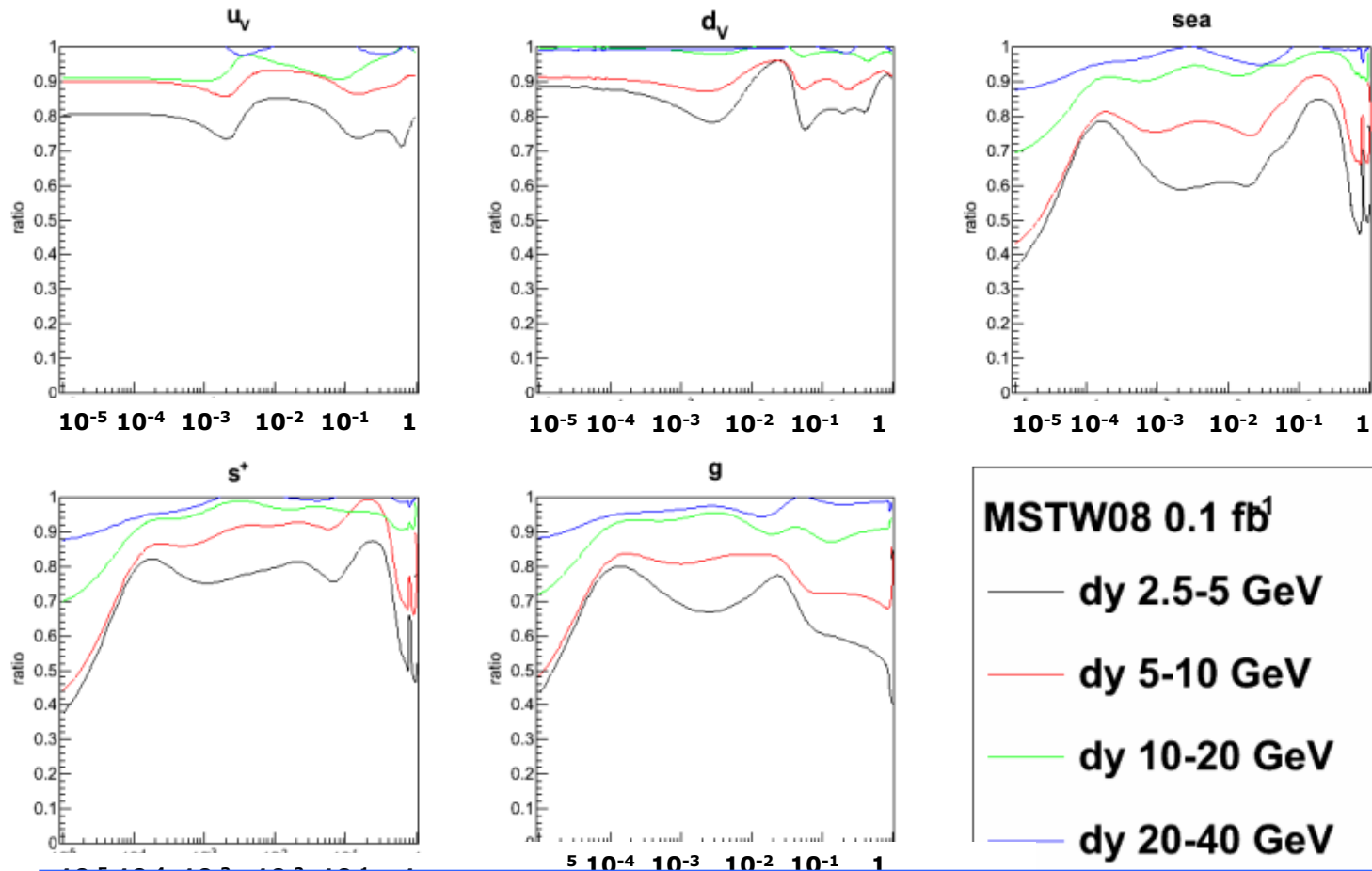
Number of Events per 0.5 GeV



First analysis using just 37nb⁻¹ of data.

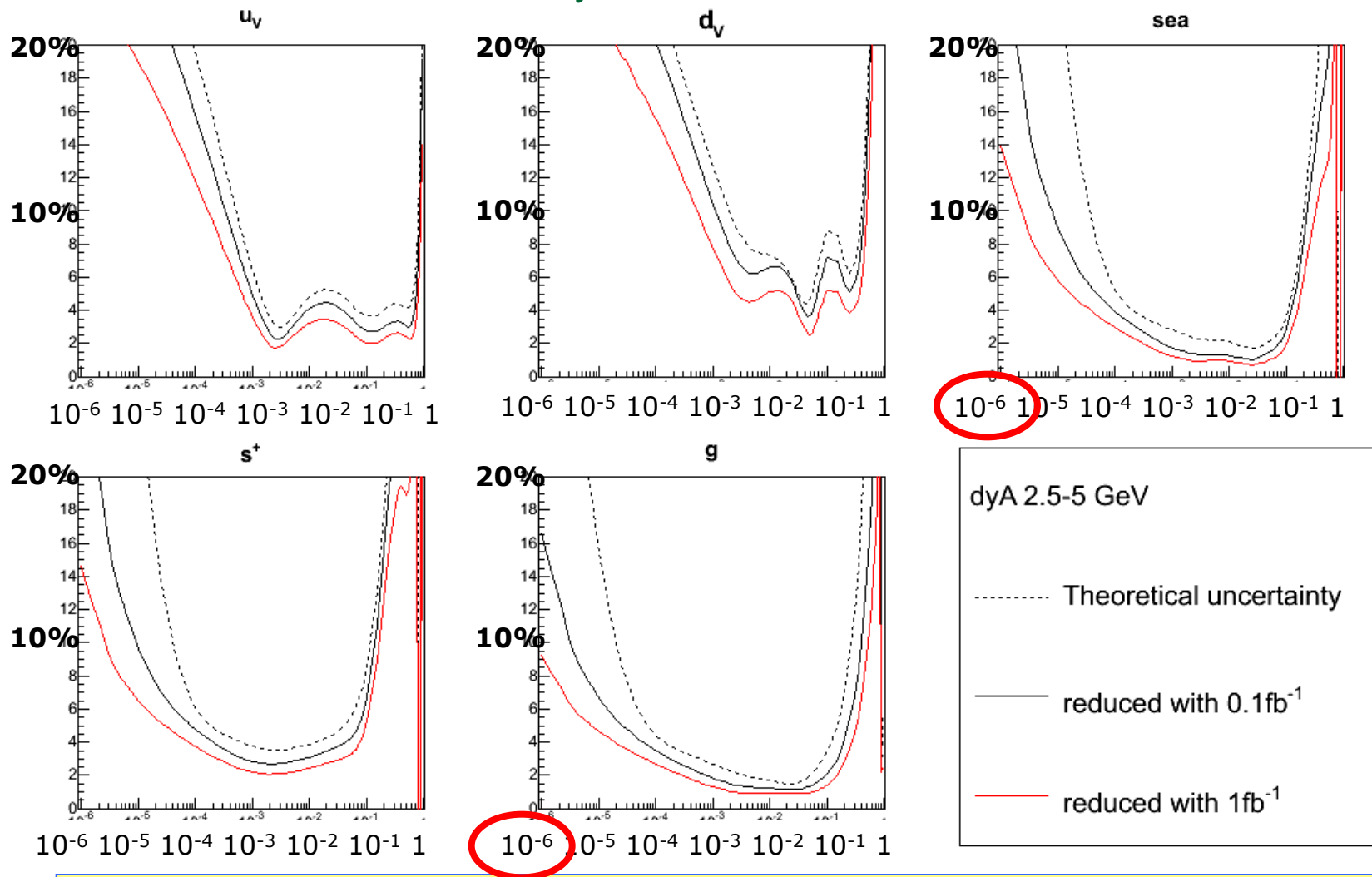
Challenge is in control of backgrounds

Improvement to **MSTW08 PDFs** with 0.1 fb^{-1} of low mass vector bosons at 7TeV



Similar improvements to NNPDF, CTEQ and Alekhin PDFs.
Sensitivity exists to distinguish between models.

Current uncertainty on **MSTW08 PDFs** and projections with 0.1fb^{-1} , 1fb^{-1} of very low invariant mass muons at 7TeV



— Significant improvements possible with modest amount of data

Exclusive dimuon final states

Exclusive particle production (2μ and nothing else)

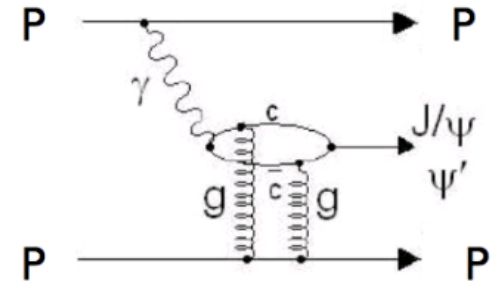
1

Exclusive $J/\psi, \psi'$ ($\rightarrow \mu^+\mu^-$)

Produced by photon pomeron fusion

Starlight: Models diphoton and photon pomeron fusion

(S.R.Klein and J.Nystrand, Phys. Rev. Lett. 92 (2004) 142003).



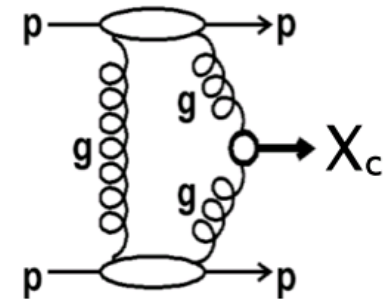
2

Exclusive χ_{c0} ($\rightarrow \mu^+\mu^- + \gamma$)

Produced by double pomeron exchange

SuperChiC: MC for central exclusive production

(L.A. Harland-Lang, V.A. Khoze, M.G. Ryskin, W.J. Stirling, arXiv:0909.4748 [hep-ph].)



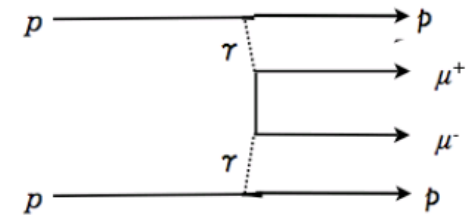
3

Exclusive diphoton dimuon

Produced by diphoton fusion

LPAIR: Models EM production of lepton pairs

(A.G.Shamov and V.I.Telnov, NIM A {bf 494} (2002) 51).

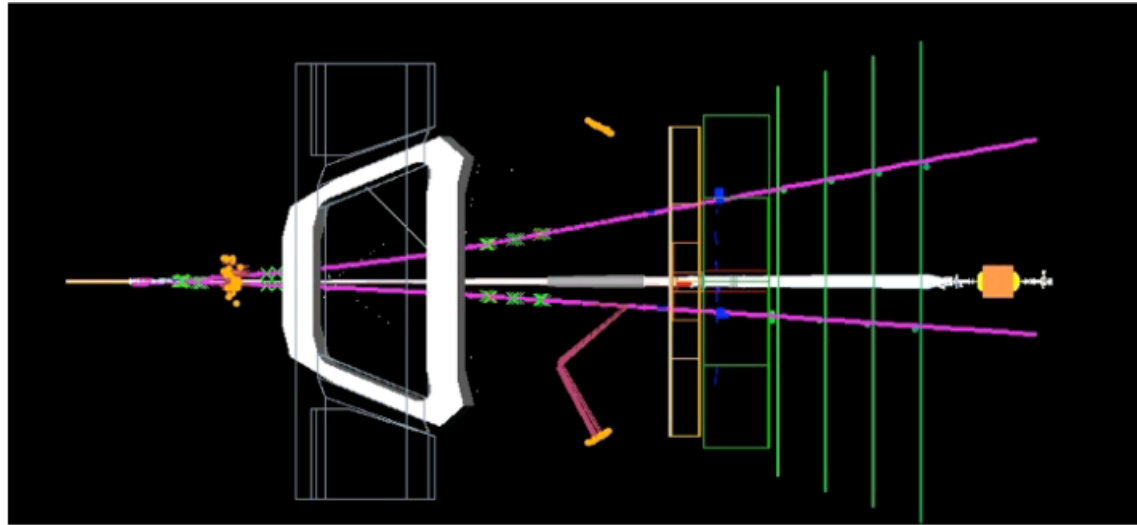


For LHC
Luminosity

But is it exclusive ?

Full LHCb
Detector

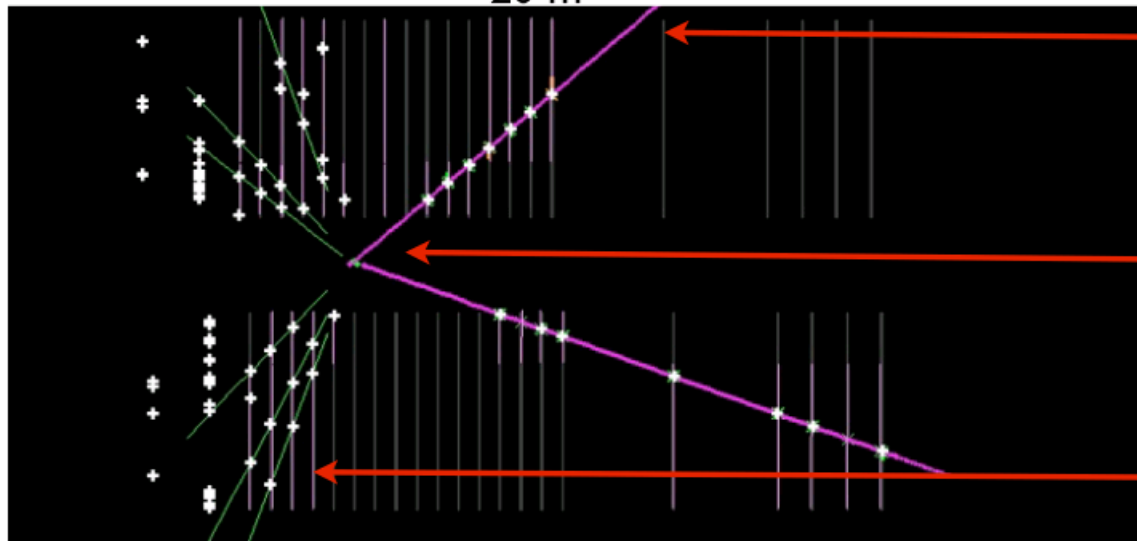
10 m



20 m

VELO
Close Up

8.4 cm



Muon

Primary Vertex

Backward Tracks

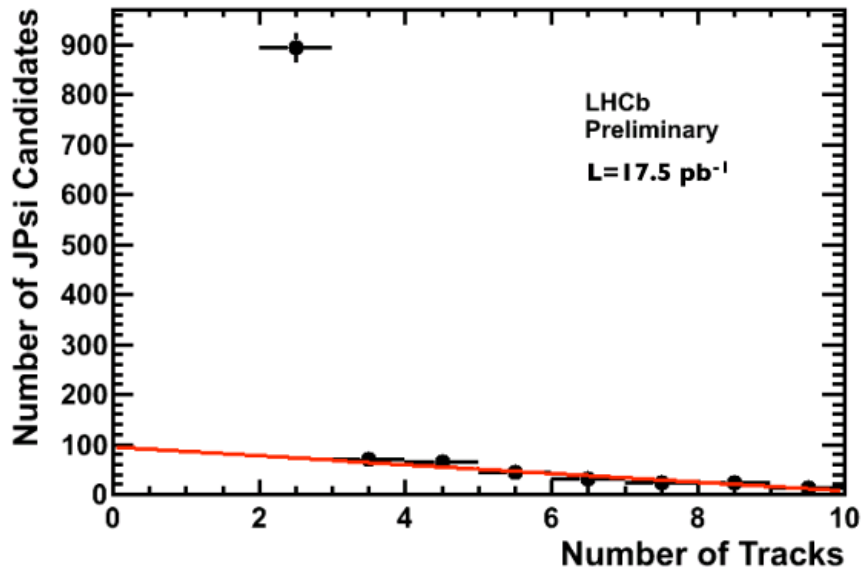
1 m

#J/Psi as Fn of #tracks

Assuming Linear background ?

Extrapolate Background to determine number of experimentally exclusive events

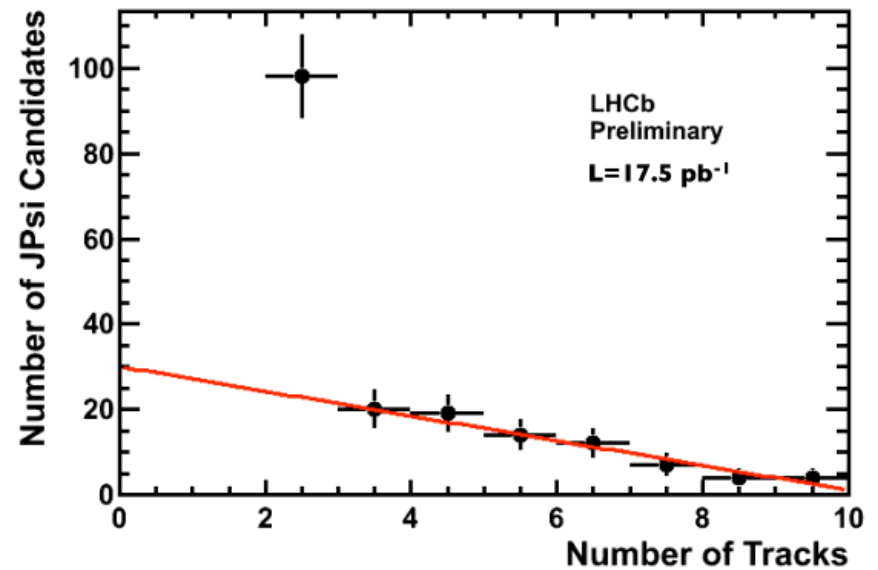
J/Psi + No Photon



817 Exclusive J/Psi candidates
77 Background Events

Purity of Events = 91%

J/Psi + 1 Photon



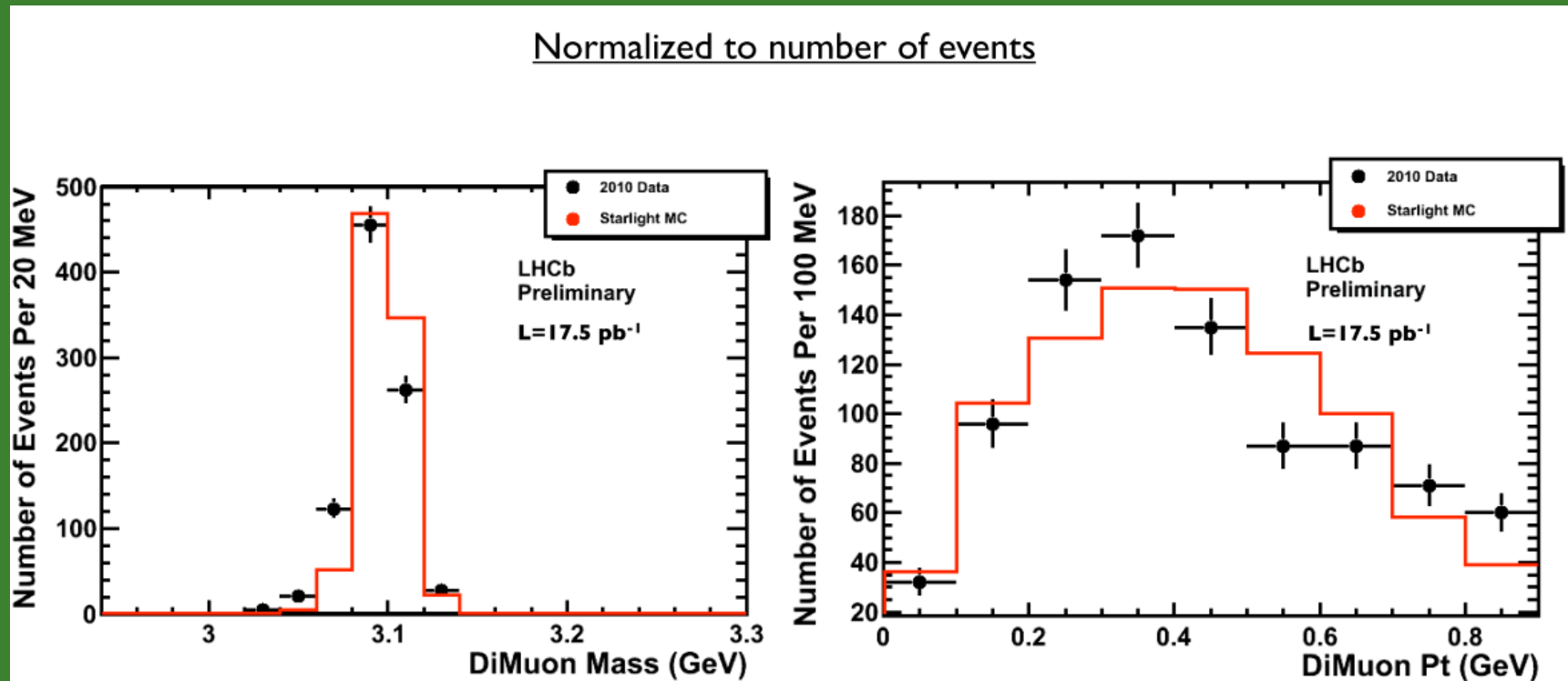
76 Exclusive ChiC candidates
22 Background Events

Purity of Events = 78%

1

Exclusive J/Psi (compared to Starlight)

Require 2μ consistent with Jpsi + no other charged or neutral activity



Number of exclusive candidates: 817 (Calculated from extrapolation)

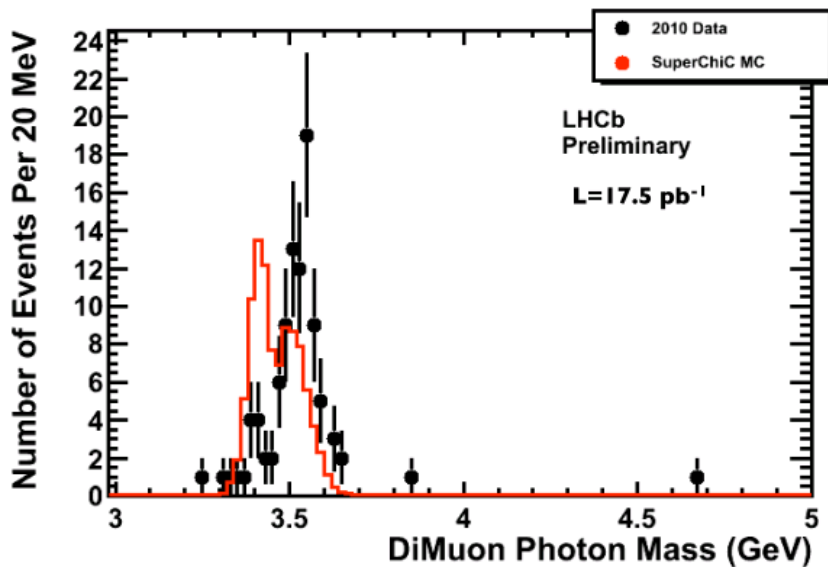
Purity of Events = 91%

2

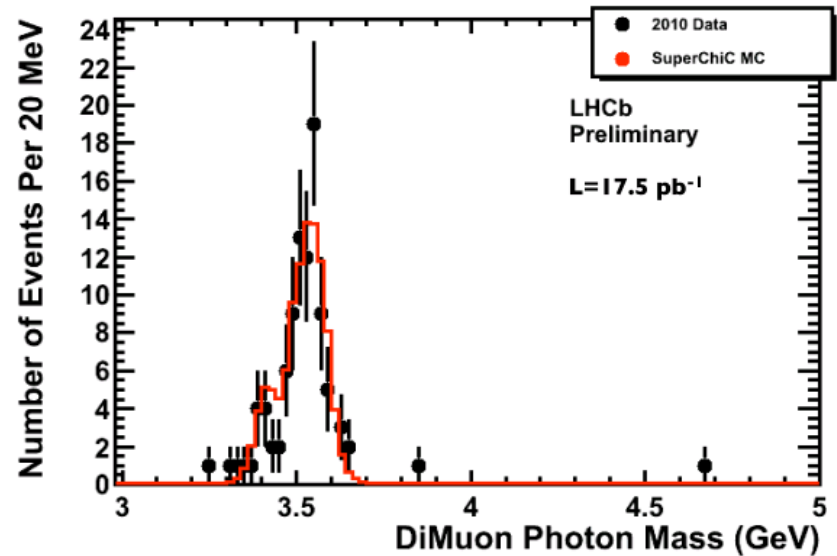
Exclusive χ_{c0} (compared to SuperCHIC)

Require 2m consistent with J/ψ , 1 photon, and nothing else

Normalised to number of events
 χ_{c0} : 52%, χ_{c1} : 36%, χ_{c2} : 12%



Normalised to number of events
 χ_{c0} : 12%, χ_{c1} : 36%, χ_{c2} : 52%



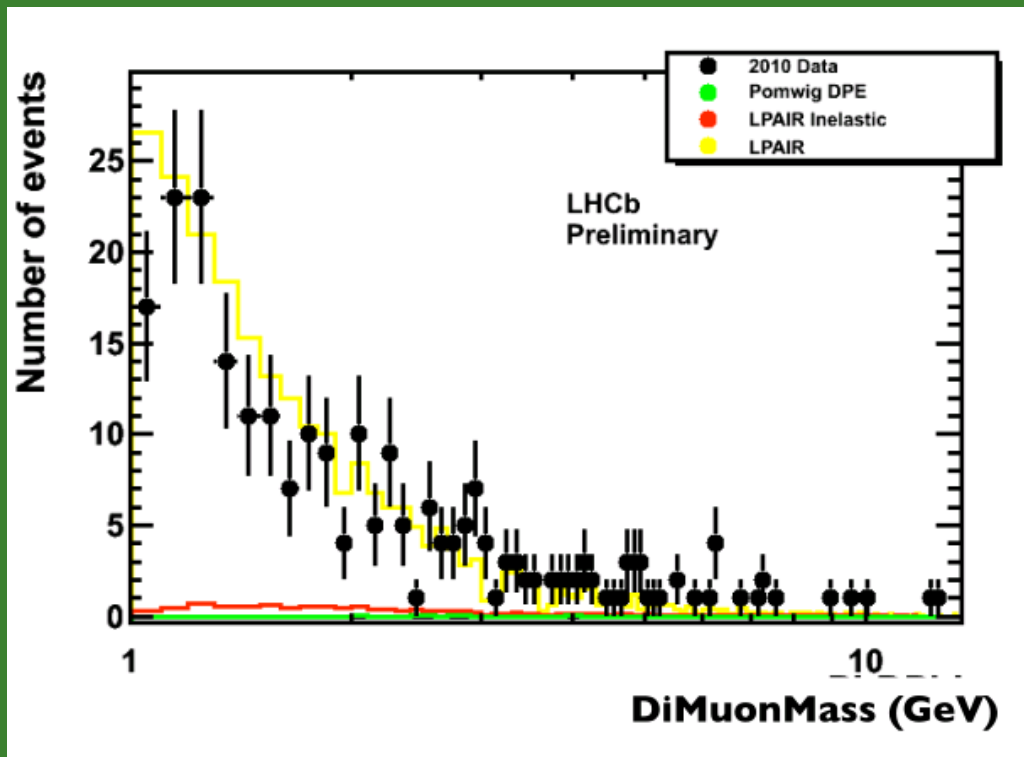
Number of exclusive candidates: 76 (Calculated from extrapolation)

Purity of Events = 78%

3

Diphoton fusion (compared to LPAIR)

Require 2 back-to-back muons and no other charged or neutral activity.
Remove resonances.



As in other cases, feed-down from non-exclusive processes needs to be evaluated.

Precision on luminosity given by uncertainty on backgrounds and trigger efficiency.

Summary

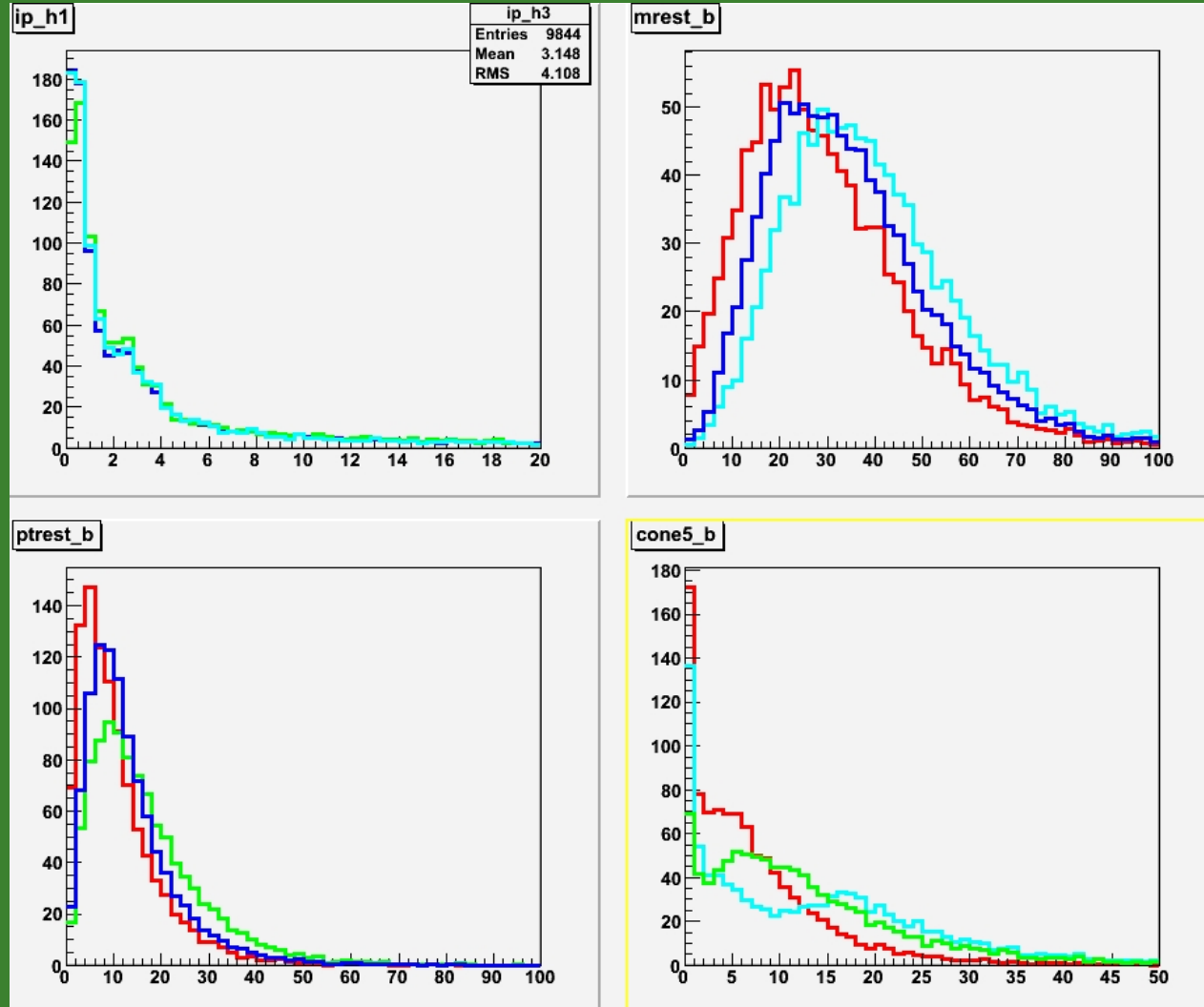
- LHCb EW programme complementary to ATLAS/CMS
- Tests SM in different region with similar precision
- Possible future precision measurement of $\sin^2\theta_w$
- Constrain PDFs at low x for W,Z and very low x for γ^* .
- Potential for luminosity measurement at few % level.

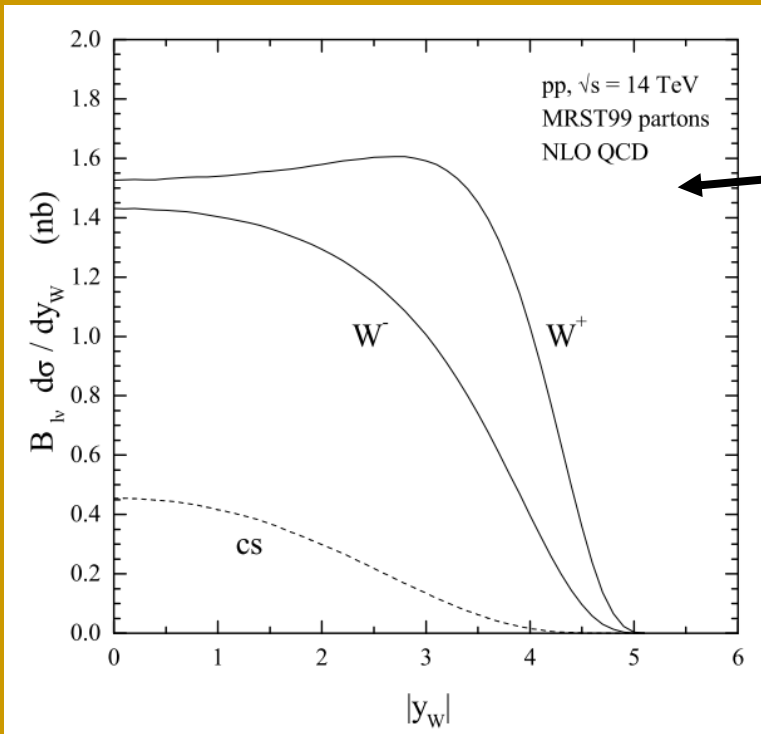
Backup

W analysis

$$\sigma_{W \rightarrow \mu\nu}(\Delta\eta) = \frac{N_{tot}^W - N_{bkg}^W}{\epsilon_W L}$$

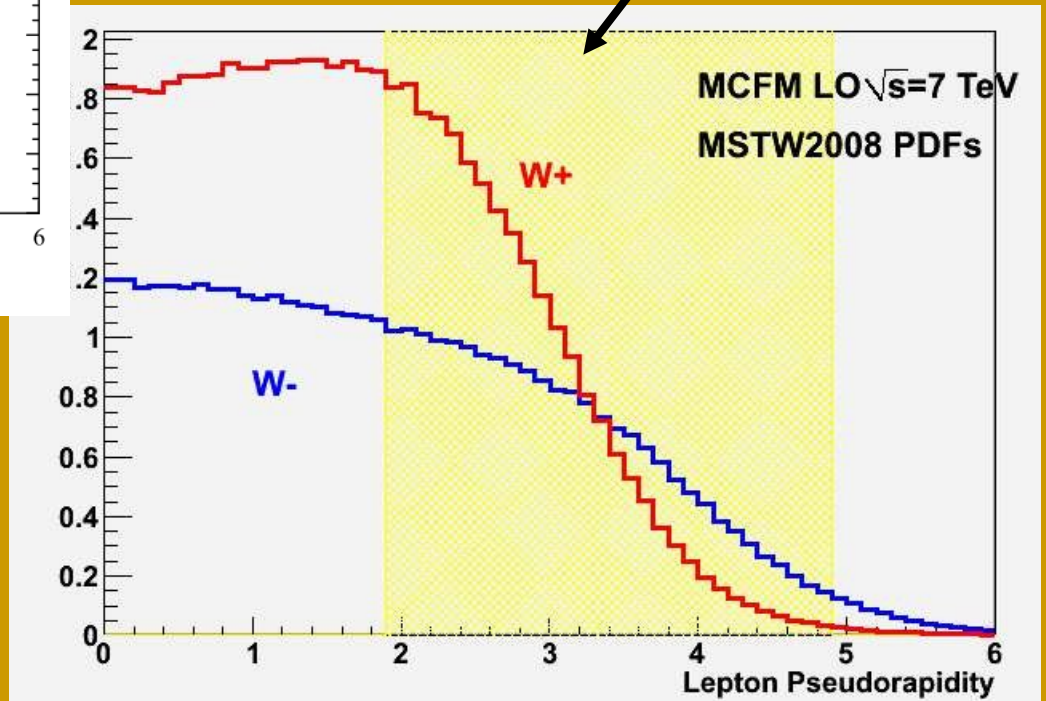
Variation of background shapes with anticuts allows systematic to be determined

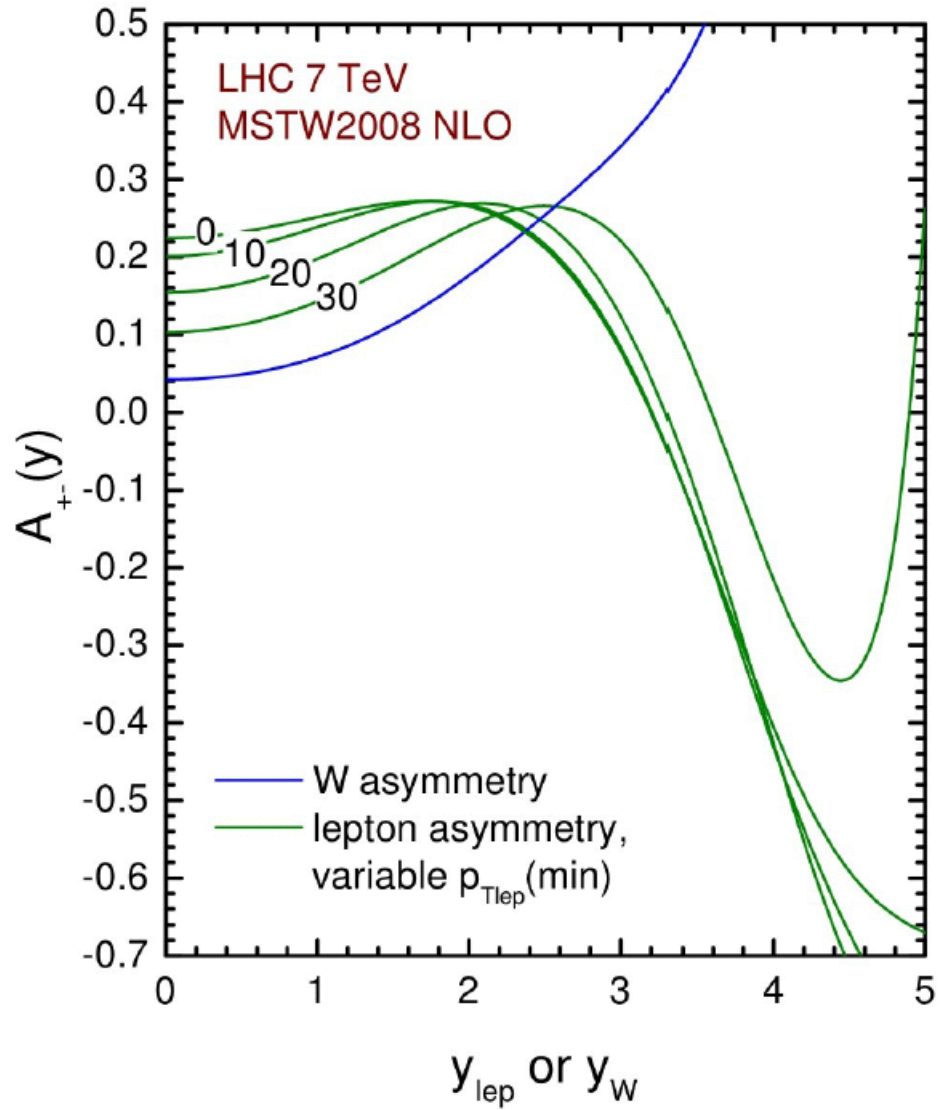




Boson Level

Lepton Level





from J.Stirling

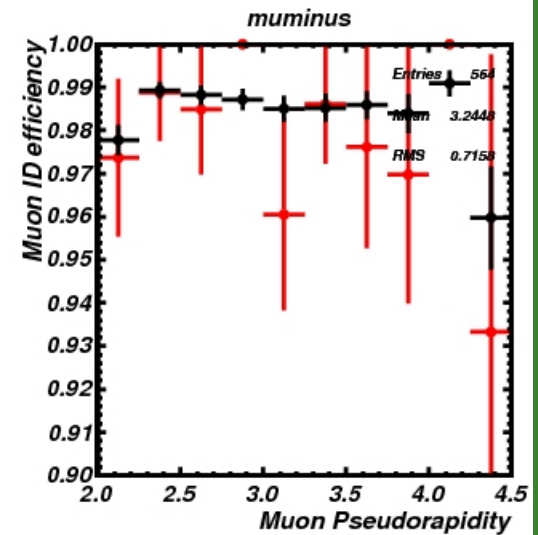
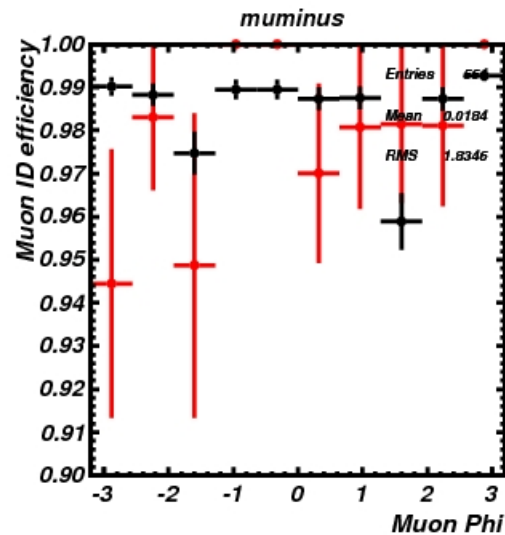
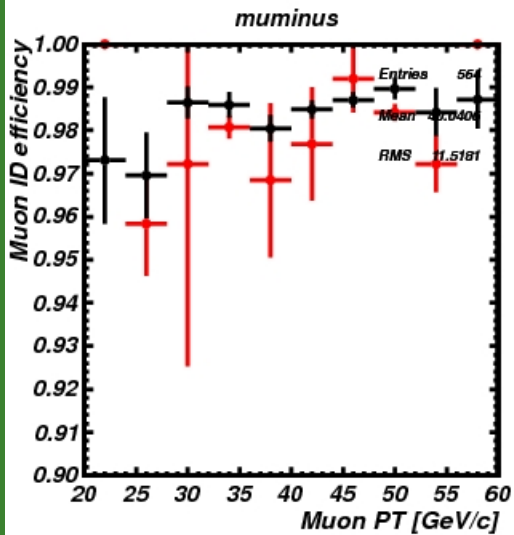
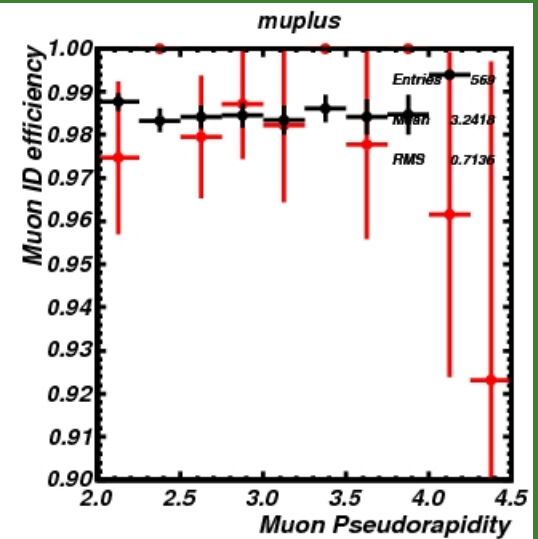
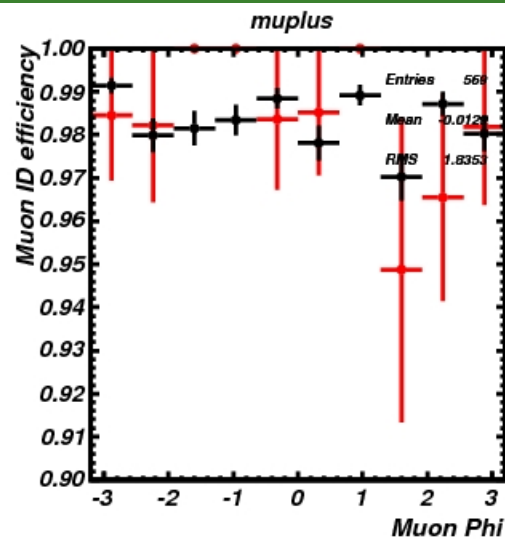
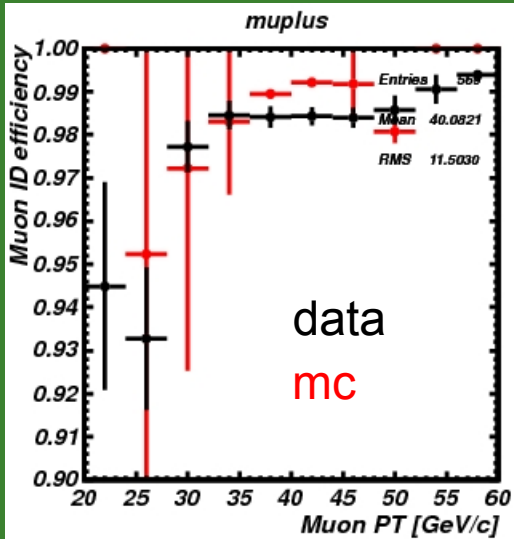
Z analysis

$$\epsilon_Z = A_z \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$

$$\epsilon_W = 98.2 \pm 0.5\%$$

$$\epsilon_Z = 96.5 \pm 0.7\%$$

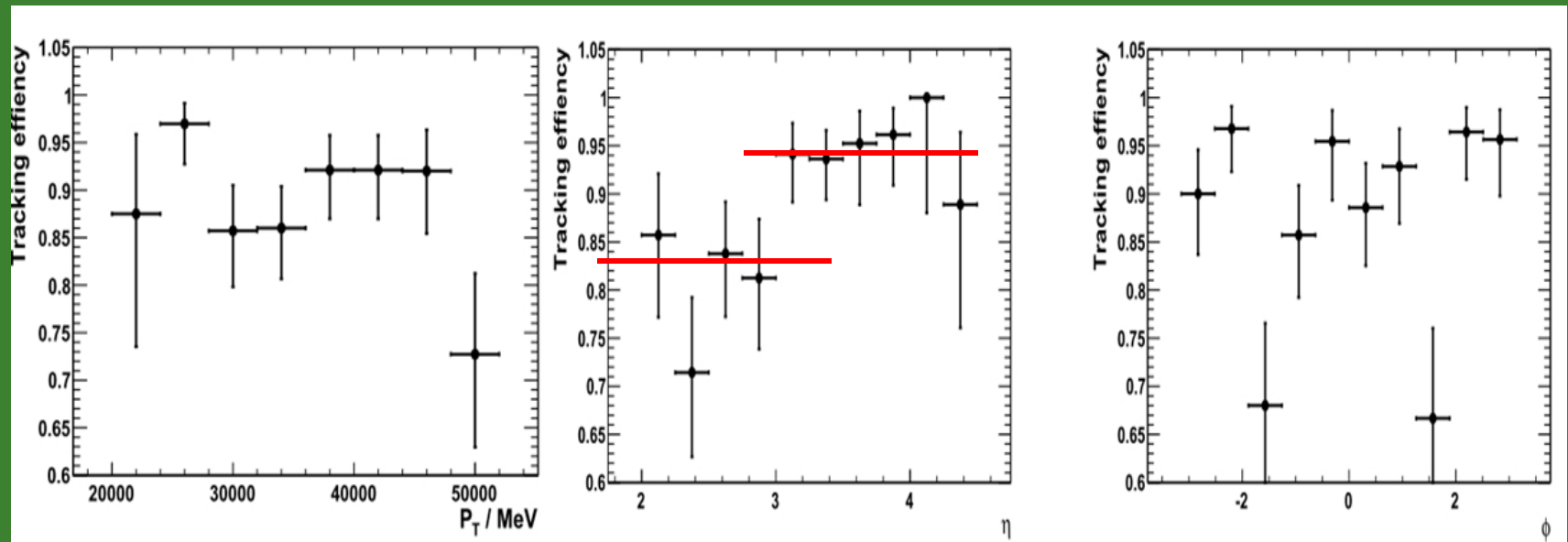
No evidence for charge bias or pt, Φ , or η dependence



Z analysis

$$\epsilon_Z = A_Z \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$

$$\begin{aligned}\epsilon_{W^+} &= 73 \pm 3\% \\ \epsilon_{W^-} &= 78 \pm 3\% \\ \epsilon_Z &= 83 \pm 3\%\end{aligned}$$



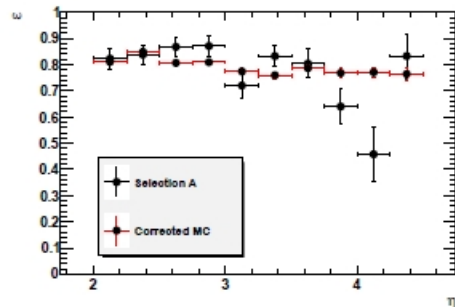
Flat with pt. Lower efficiency $\eta < 3$. Lower efficiency in VELO overlap.
Apply event-by-event weighting for Z analysis

(For W analysis, tighter tracking requirements lower the efficiency.
Requiring TT: $\epsilon = 0.66, 0.75, 0.90$ for $\eta < 2.5$, $2.5 < \eta < 3$, $\eta > 3$.
The different W^+/W^- pseudorapidity distributions lead to efficiency charge asymmetry)

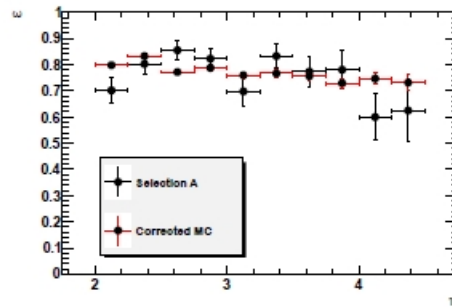
Z analysis

$$\epsilon_Z = A_Z \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$

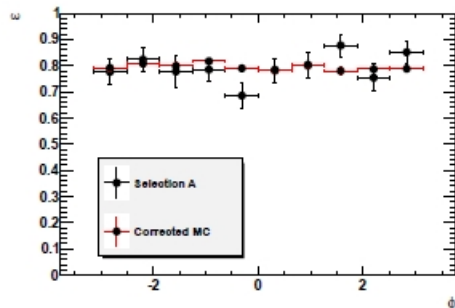
$$\epsilon_W = 72 \pm 1\%$$
$$\epsilon_Z = 86 \pm 1\%$$



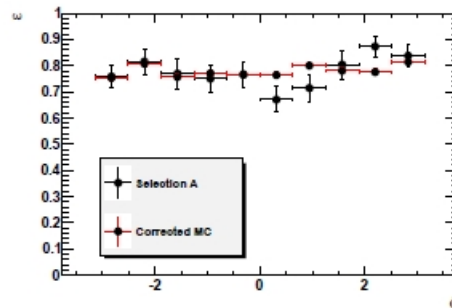
(a)



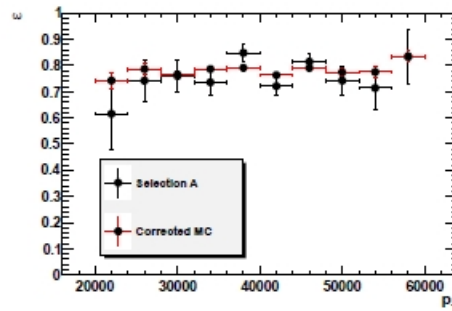
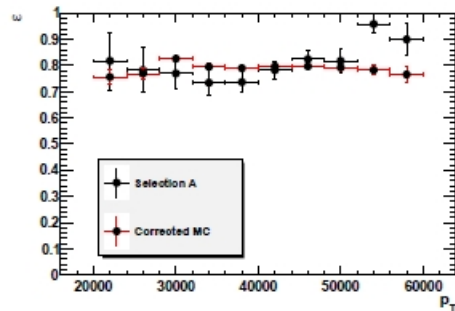
(b)



(c)



(d)



Consider flat in pt, Φ, η

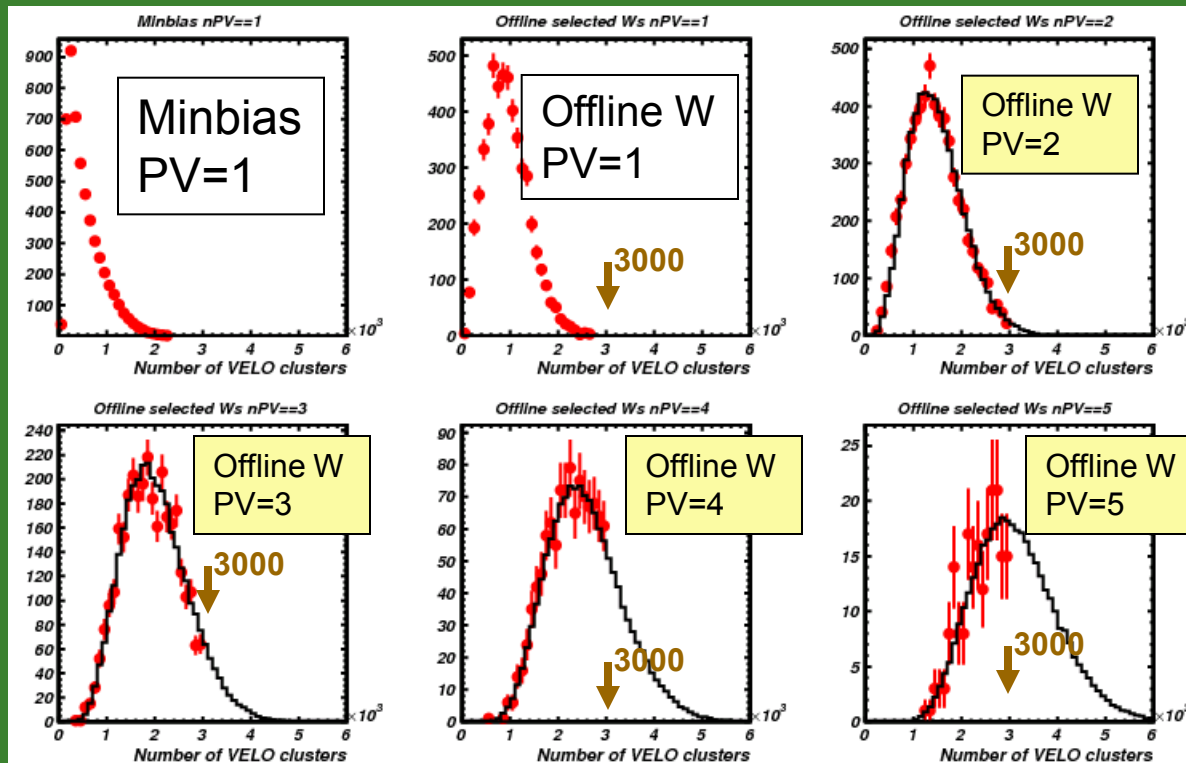
(scaling of uncertainties for good flat fit gives systematic)

Z analysis

$$\epsilon_Z = A_Z \epsilon_Z^{trig} \epsilon_Z^{track} \epsilon_Z^{muon} \epsilon_Z^{selection}$$

$$\epsilon_W = 72 \pm 1\%$$
$$\epsilon_Z = 86 \pm 1\%$$

But there are also **Global Event Cuts** in the Trigger



GEC: 90 \pm 1%

How can W,Z constrain PDFs?

From global fits, PDFs described by a set of orthogonal eigenvectors, which have a 'central' value \vec{e}_0 , and 'uncertainties' \vec{e}_i .

$\frac{d\sigma}{dy}(\vec{e}_0)$ is the value of the differential cross-section obtained using the central value.

$\frac{d\sigma}{dy}(\vec{e}_1)$ is the value of the differential cross-section obtained moving one unit along eigenvector 1

$\frac{d\sigma}{dy}(\vec{e}_1) - \frac{d\sigma}{dy}(\vec{e}_0)$ is the change in the differential cross-section when I move one unit along eigenvector 1

$0.5 * \left\{ \frac{d\sigma}{dy}(\vec{e}_1) - \frac{d\sigma}{dy}(\vec{e}_0) \right\} + 0.3 * \left\{ \frac{d\sigma}{dy}(\vec{e}_3) - \frac{d\sigma}{dy}(\vec{e}_0) \right\}$ is the change in the differential cross-section when I move 0.5 along e.v. 1 and 0.3 along e.v. 3

How can W, Z constrain PDFs?

From global fits, PDFs described by a set of orthogonal eigenvectors, which have a 'central' value \vec{e}_0 , and 'uncertainties' \vec{e}_i .

$$\frac{d\sigma}{dy}(\delta_1, \delta_2 \dots \delta_N) = \frac{d\sigma}{dy}(\vec{e}_0) + \sum_i^N \delta_i \left\{ \frac{d\sigma}{dy}(\vec{e}_i) - \frac{d\sigma}{dy}(\vec{e}_0) \right\}$$

(where δ_i is #sigmas along e_i)

Current knowledge of PDFs mapped out by sampling δ_i from unit multinomial distribution.

Perform pseudo-experiments, generating LHC data and fitting for δ_i , to see how eigenvector knowledge improves.

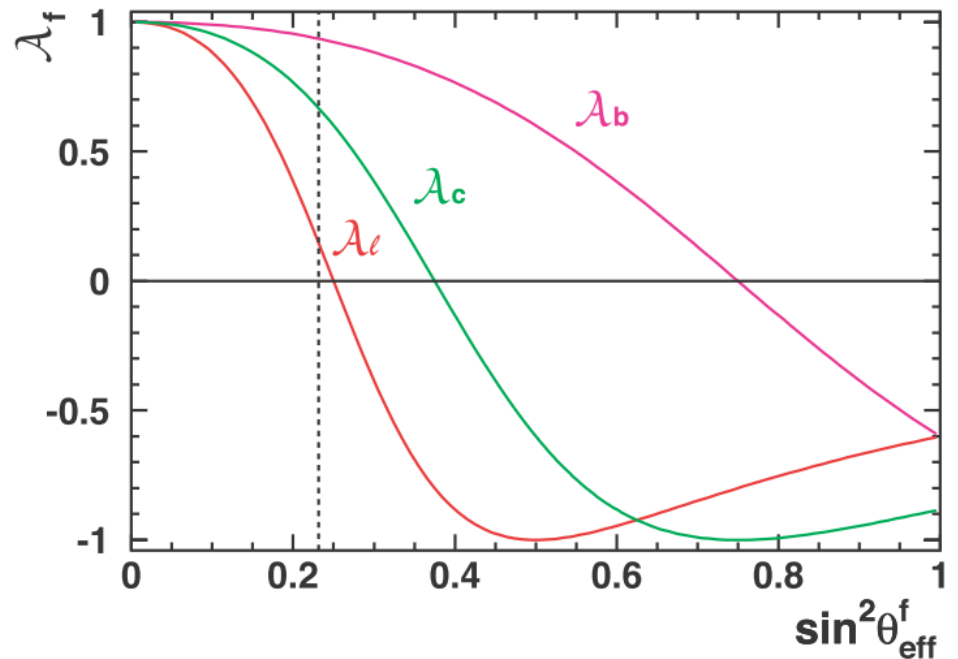
$$\chi^2 = \sum_{bin} \left(\frac{N_{bin} - f(\delta_1, \delta_2, \dots, \delta_N)}{\Delta_{bin}} \right)^2 + \sum \delta_i$$

Effect on MSTW08, CTEQ6.5, ALEKHIN2002, NNPDF2.0 studied.

$$A_{FB}^{0,f} = \frac{3}{4} A_f (uA_u + dA_d + sA_s) \quad A_f = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2}$$

A_{FB} sensitive to $\sin^2\theta_W$

A_{FB} in muon channel at LHC is about 5 times larger than at LEP.



$$A_{FB}^{0,f} = \frac{3}{4} A_f (uA_u + dA_d + sA_s) \quad A_f = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2}$$

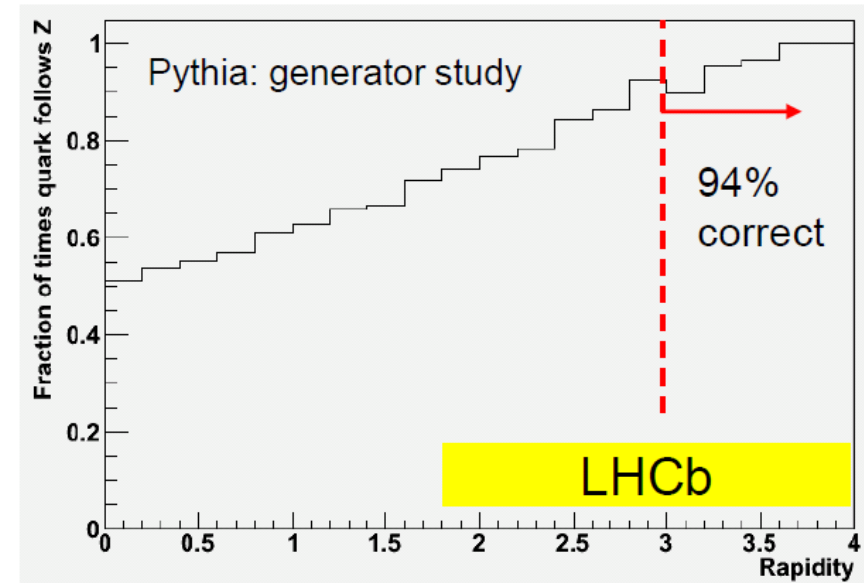
A_{FB} sensitive to $\sin^2\theta_W$

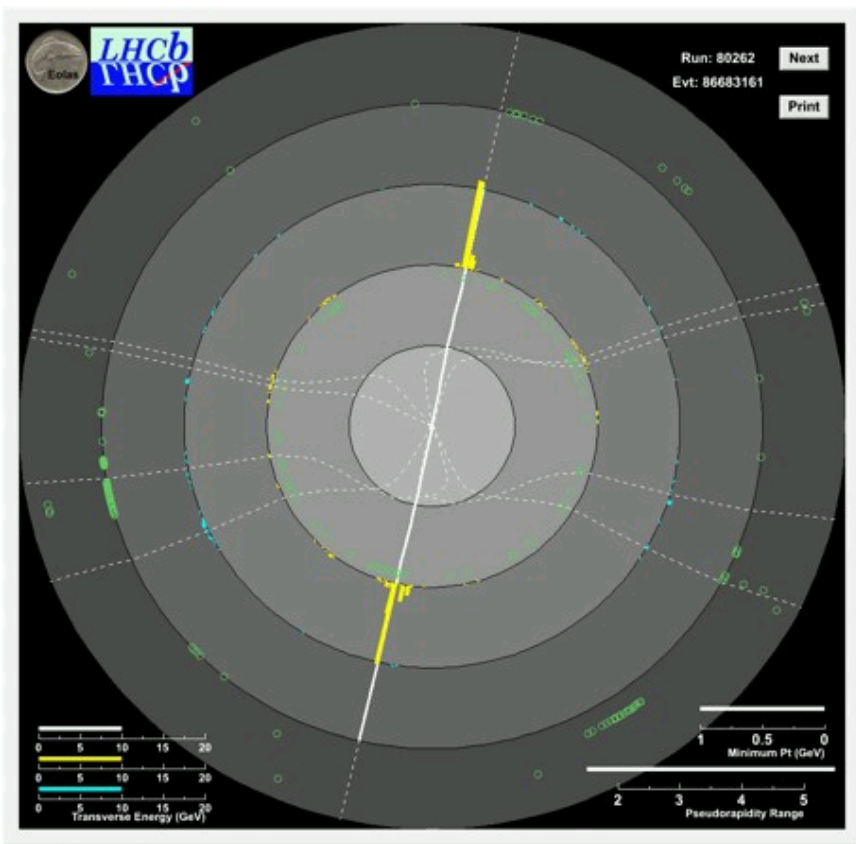
Uncertainties from :

Forward (quark) direction
PDF knowledge of sea

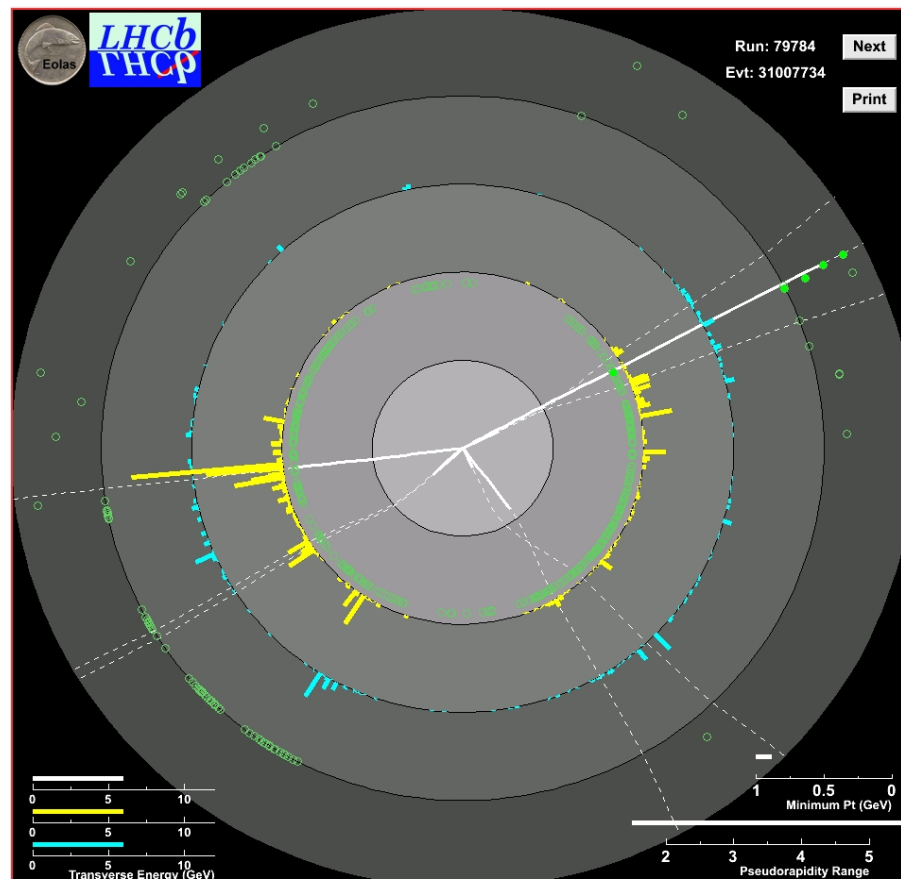
LHCb:

predominately valence - sea
collisions
ss contribution reduced





Z->ee



Z->tautau

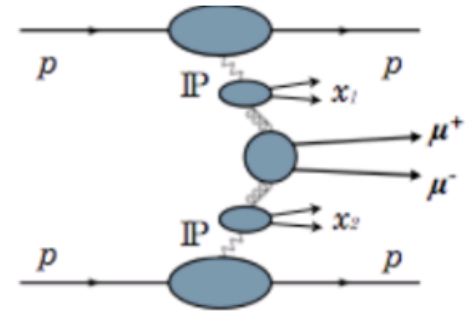
Diphoton dimuon background study

Dimuons from Double Pomeron Exchange (DPE)

Generated with Pomwig (Does not contain Multi Parton Interactions)

Pythia used to estimate effect of MPI (Pomwig predictions scaled by 0.3)

HI pomeron PDFs (06 and 97 NLO) used

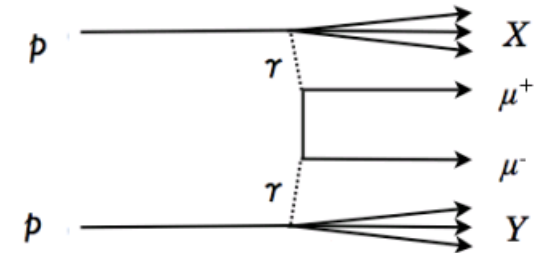


Dimuons from Inelastic diphoton fusion

One or both protons dissociate during interaction

Generated with LPAIR

A.Suri and D.R.Yennie Proton PDFs used



Mis-Id from Min Bias Data

Min Bias events dominated by pions and kaons

Apply all cuts except requiring that the track is a muon

Scale distribution by probability for pions/kaons to be identified as muons

(Mis-Id Probability as a function of Particle P determined in separate study)