

Tops Beyond the Asymmetry

**Andreas Weiler
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**Planck 2011
Lisbon**

3/6/2011

Naturalness vs. flavor triviality

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EWSB & Flavor



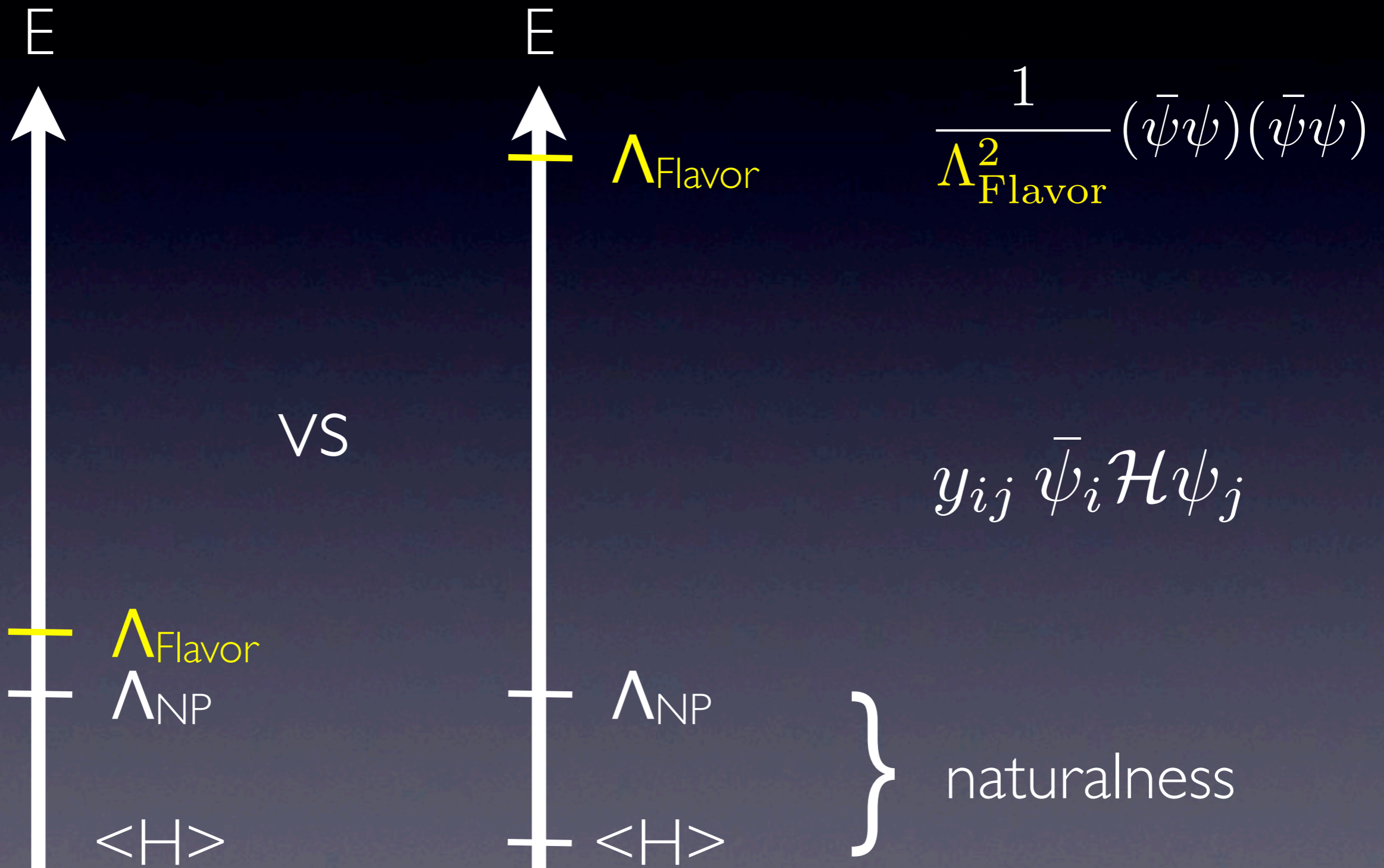
Λ_{Flavor}
 Λ_{NP}
 $\langle H \rangle$

$$\frac{1}{\Lambda_{\text{Flavor}}^2} (\bar{\psi}\psi) (\bar{\psi}\psi)$$

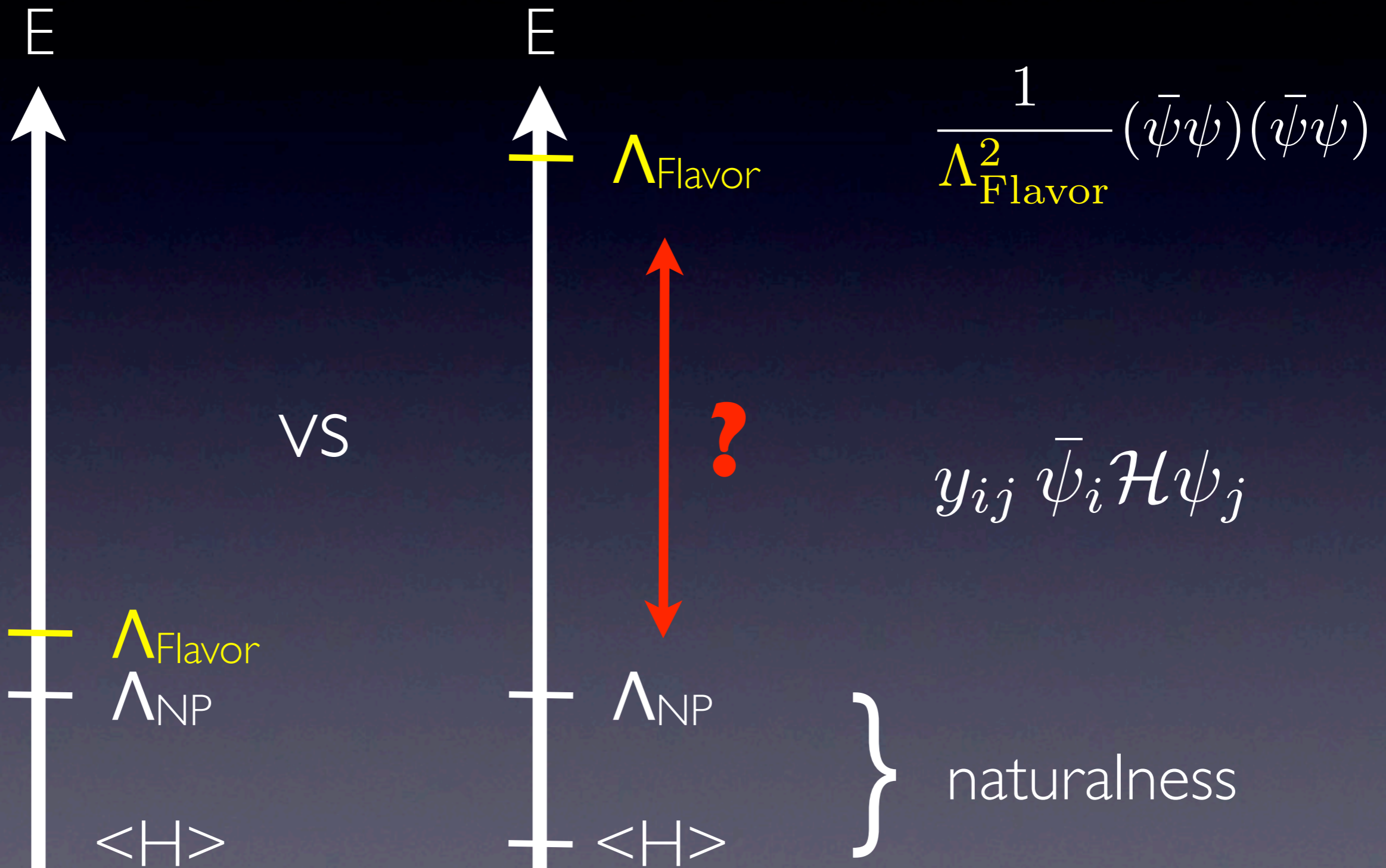
$$y_{ij} \bar{\psi}_i \mathcal{H} \psi_j$$

} naturalness

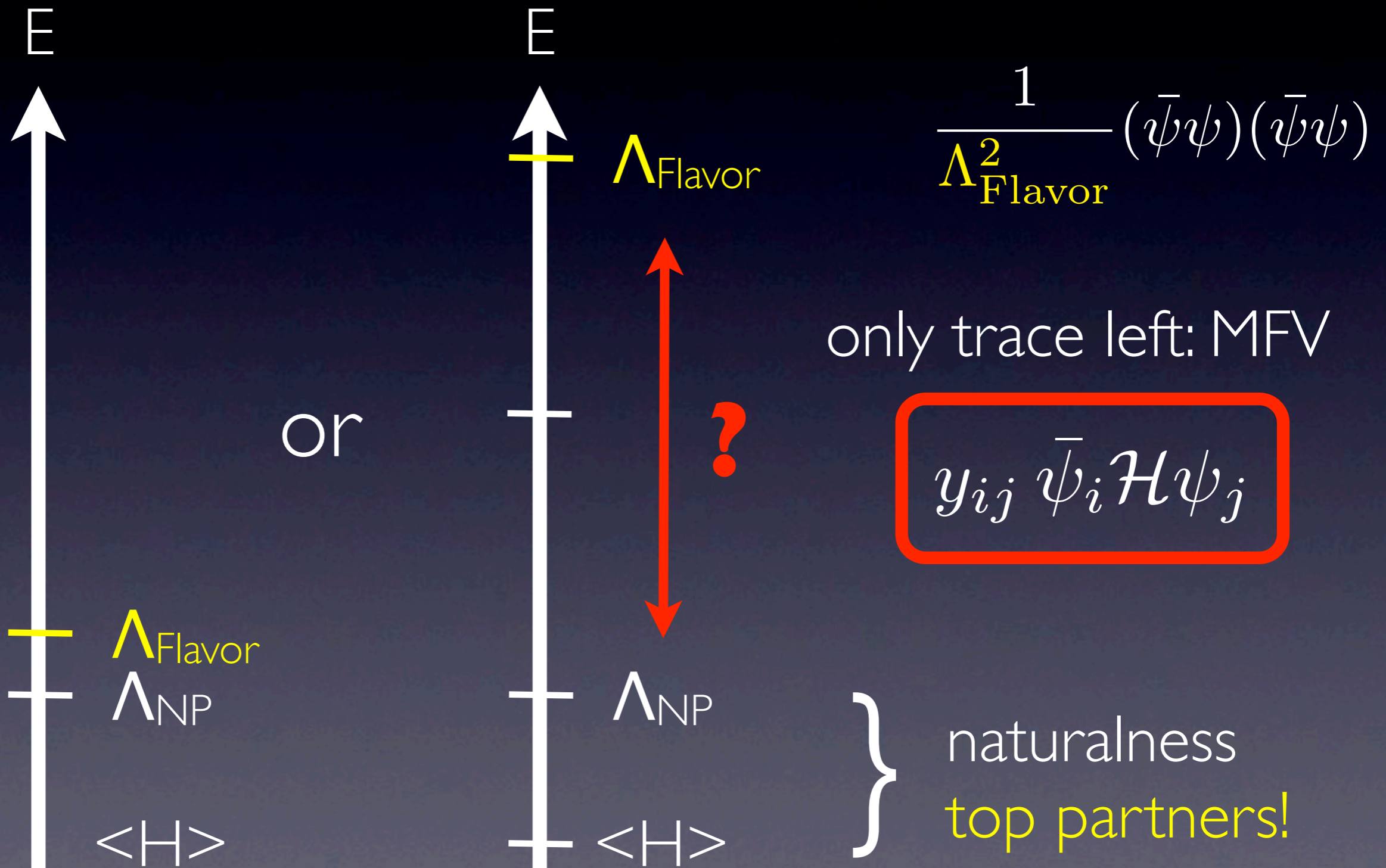
EWSB & Flavor



EWSB & Flavor



EWSB & Flavor



1) composite Higgs vs. MFV
(EWPT, top mass, EDMs)

w/ Michele Redi (CERN/INFN)
and ideas by R. Rattazzi

2) chromo-electric dipole moment
of the top

w/ Jernej Kamenik (IJS, Ljubljana)
Michele Papucci (CERN/LBL)

3) Flavor & Naturalness &
susy breaking

w/ Michele Papucci (CERN/LBL)



if time allows

Old Flavor problem of composite Higgs

Higgs as bound state, naively $D_{\mathcal{H}=\langle\bar{\psi}\psi\rangle} \approx 3$

$$\frac{1}{\Lambda^{D_{\mathcal{H}}-1}} y_{ij} \bar{\psi}_i \mathcal{H} \psi_j + \frac{1}{\Lambda^2} c_{ijkl} \bar{\psi}_i \psi_j \bar{\psi}_k \psi_l$$

Λ can not be too large, because want top mass

$$\Lambda = \mathcal{O}(\text{TeV})$$

=> talk by Rychkov

Old Flavor problem of composite Higgs

Higgs as bound state, naively $D_{\mathcal{H}=\langle\bar{\psi}\psi\rangle} \approx 3$

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Λ can not be too large, because want top mass

Λ must be very large because this leads to FCNCs

$K^0 - \bar{K}^0$

$$\Lambda = \mathcal{O}(\text{TeV})$$

$$\Lambda > 10^5 \text{ TeV}$$

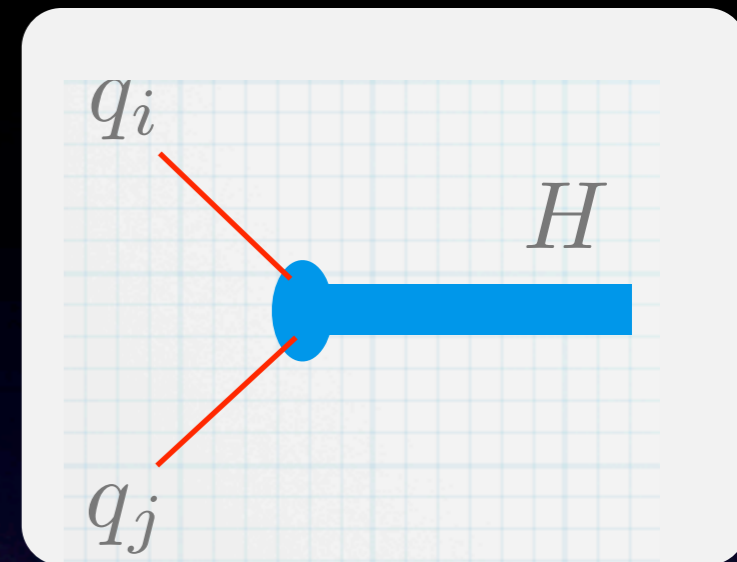


=> talk by Rychkov

Two ways of giving mass to fermions...

Bi-linear (like SM):

$$\mathcal{L} = y f_L \mathcal{O}_H f_R, \quad \mathcal{O}_H \sim (1, 2)_{\frac{1}{2}}$$



Linear:

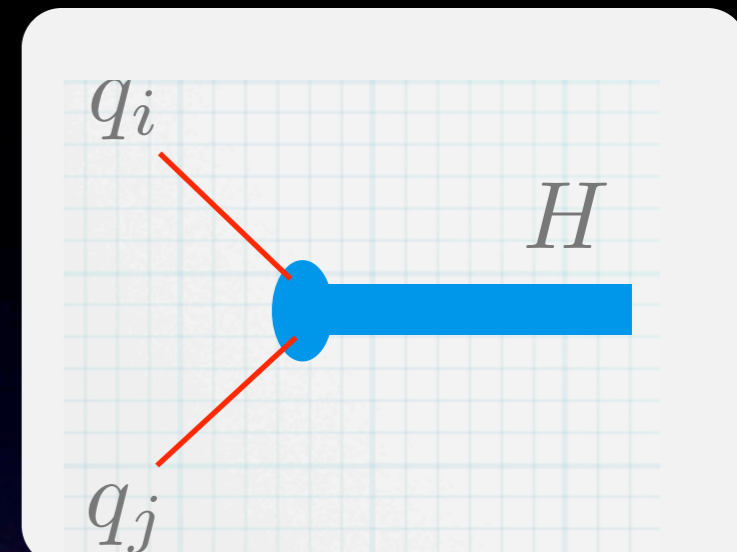
$$\mathcal{L} = y f_L \mathcal{O}_R + y_R f_R \mathcal{O}_L + m \mathcal{O}_L \mathcal{O}_R, \quad \mathcal{O}_R \sim (3, 2)_{\frac{1}{6}}$$

D.B. Kaplan '91

Two ways of giving mass to fermions...

Bi-linear (like SM):

$$\mathcal{L} = y f_L \mathcal{O}_H f_R, \quad \mathcal{O}_H \sim (1, 2)_{\frac{1}{2}}$$



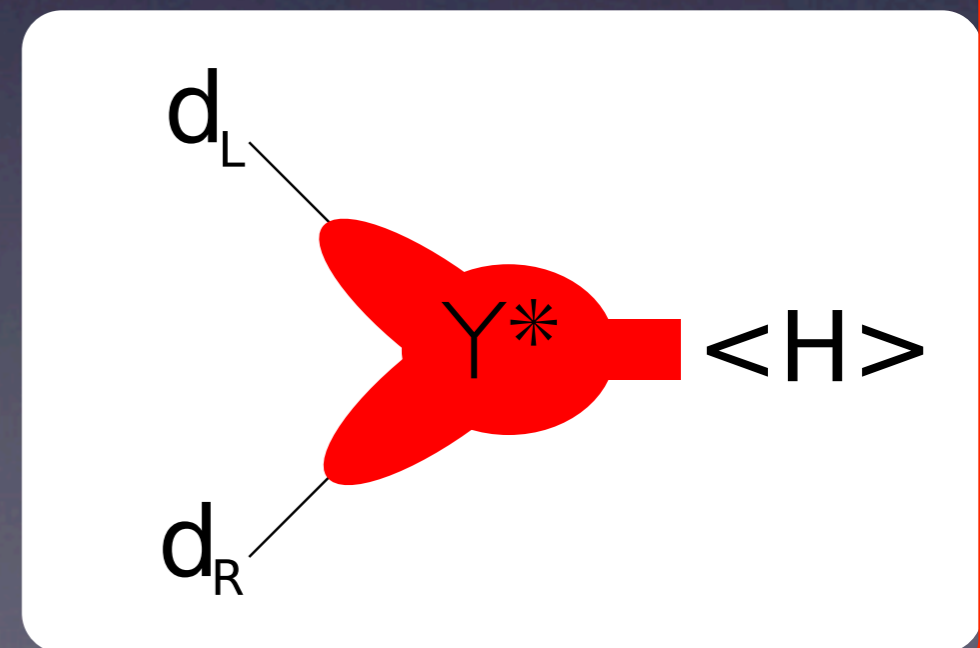
Linear:

D.B. Kaplan '91

$$\mathcal{L} = y f_L \mathcal{O}_R + y_R f_R \mathcal{O}_L + m \mathcal{O}_L \mathcal{O}_R, \quad \mathcal{O}_R \sim (3, 2)_{\frac{1}{6}}$$

Quarks & Leptons mix with strong sector

mass \propto compositeness



Partial compositeness

$$|SM\rangle = \cos\phi|elem.\rangle + \sin\phi|comp.\rangle$$

$$|heavy\rangle = -\sin\phi|elem.\rangle + \cos\phi|comp.\rangle$$

Composites are heavy ($m_\rho \approx \text{TeV}$).

Light quarks have very little composite admixture.

mixing \propto mass

strong sector

elementary fields



u, d, c, s, b, A_μ

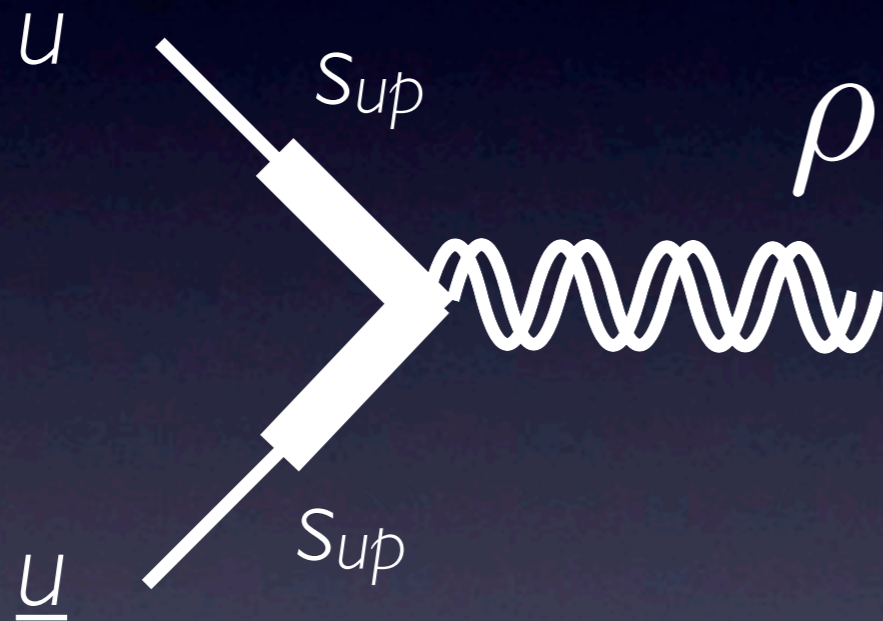
g_*, m_ρ

$$1 \lesssim g_* \lesssim 4\pi$$

Kaplan; Contino,
Kramer, Son, Sundrum

high p_T

Resonance production (option 1)

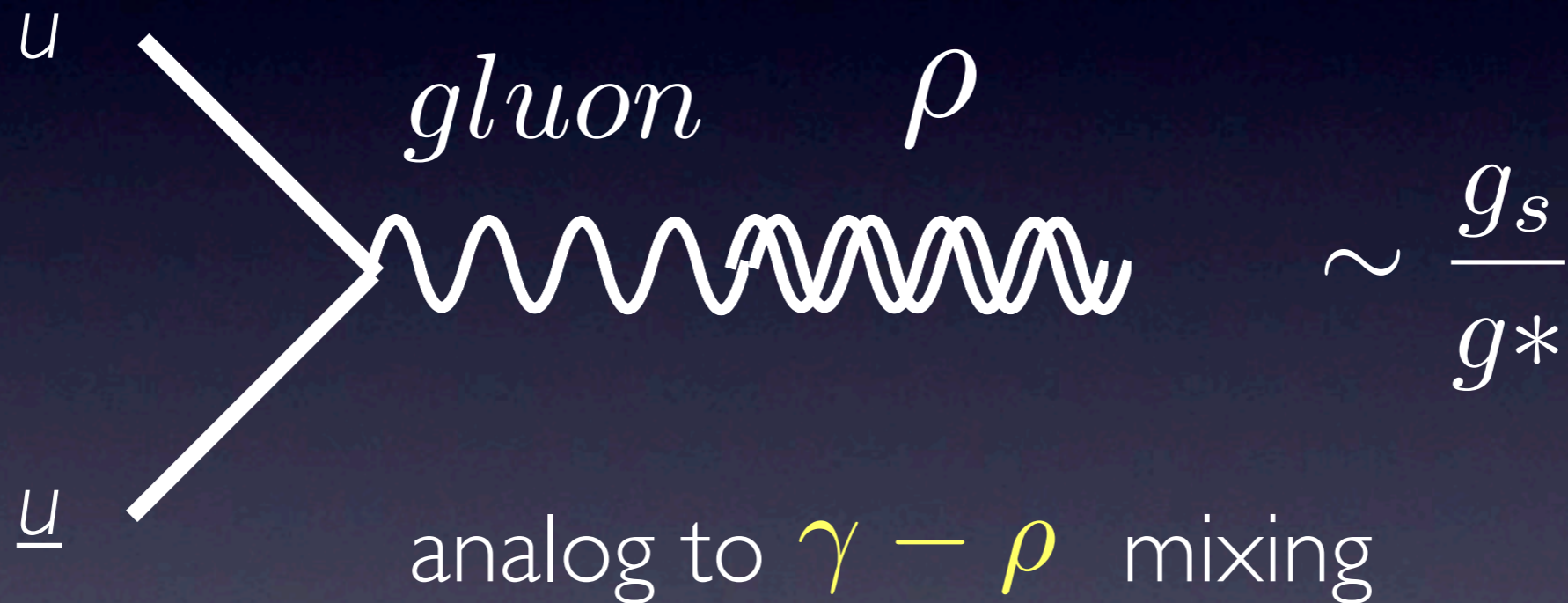


$$\sim g_*^2 \sin^2 \theta_{u_R}$$

strongly suppressed for
light quarks!

high p_T

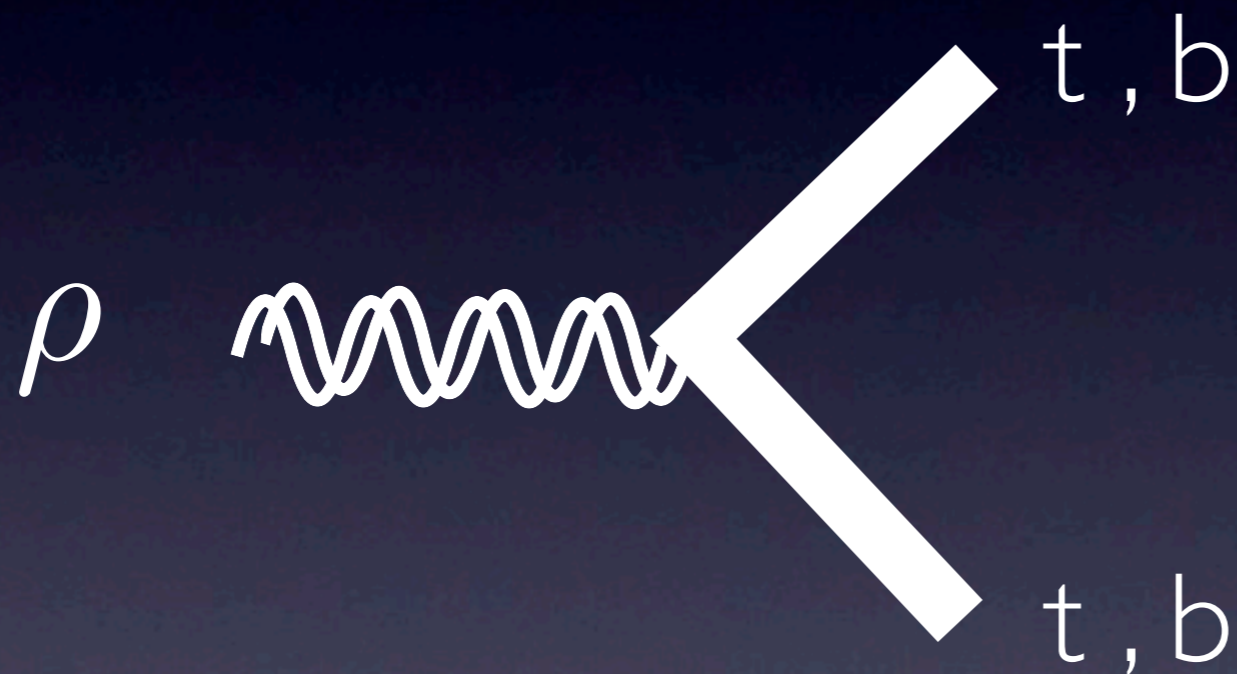
Resonance production (option 2)



NB, gluon-rho-rho = 0

high p_T

Resonance decay



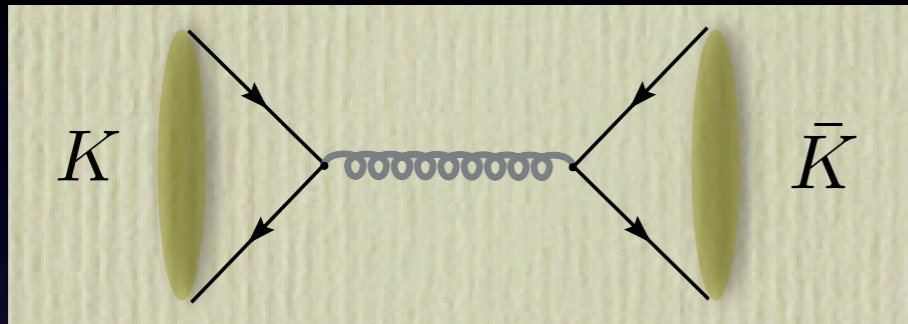
decays dominantly
into 3rd generation!
(tt, bt, bb)

CP problems

Csaki, Falkowski, AW; Buras et al; Casagrande et al

$\Delta F = 2$ (strongest from ϵ_K)

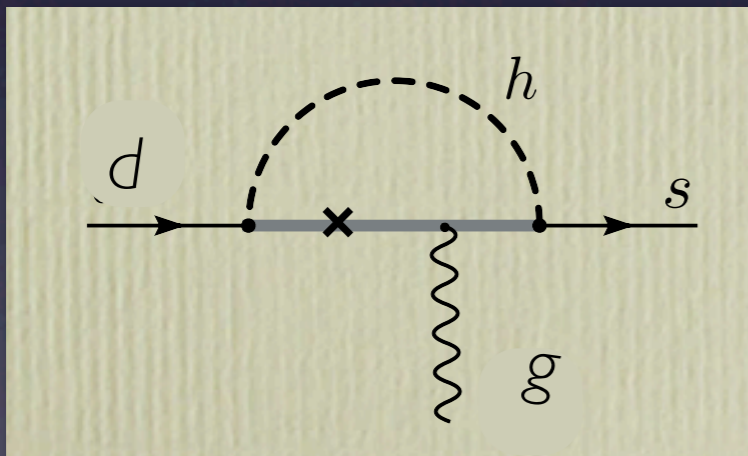
$$g_* \approx Y_* \approx 3 \dots 6$$



$$M_* \gtrsim 10 \left(\frac{g_*}{Y_*} \right) \text{TeV}$$

$\Delta F = 1$ (strongest constraint from ϵ'/ϵ)

Gedalia et. al



$$M_* \gtrsim 1.3 Y_* \text{TeV}$$

$\Delta F = 0$ neutron EDM

$$M_* \geq 2.5 Y_* \text{TeV}$$

=> talk by R. Ziegler

Agashe et. al, Delaunay et. al, Redi, AW

Flavor breaking external

Michele Redi, A.W

Postulate flavor agnostic strong sector

Usually tension between large top mass & universal mixings and EWPT

Cacciapaglia, Csaki, Galloway, Marandella, Terning, A.W., '08,

→ either some flavor breaking or special flavor dynamics (“shining”)

=> talk by C. Delaunay

Found a simpler, easily discoverable model that avoids these problems and doesn't require a flavorful strong sector!

MFV with split LH doublets

Michele Redi, AW

Main Idea: mixing w/ **split LH doublets***

$$Q_{Lu} (2, 2)_{2/3} \quad Q_{Ld} (2, 2)_{-1/3} \quad u_R (1, 1)_{2/3} \quad d_R (1, 1)_{-1/3}$$

Strong sector $SU(3)_F$

$$\begin{aligned} \lambda_{Lu} &\propto y_u, & \lambda_{Ld} &\propto y_d \\ \lambda_{Ru} &\propto Id & \lambda_{Rd} &\propto Id \end{aligned}$$

In the limit that $y_u, y_d \rightarrow 0 \Rightarrow U(3)^3$ aka **GIM**

* inspired by composite Higgs. NB, in anarchic scenario this is completely unsafe and leads generically to large FCNC's.

EWPT & compositeness

Michele Redi, AW

$$\delta g \approx \frac{Y^2 v^2}{2 m_\rho^2} \sin^2 \varphi_{qL} (T'_{3L}(Q) - T_{3L}(q_L)) + g_2^2 \frac{v^2}{4 m_\rho^2} \sin^2 \varphi_{qL} (T_{3R} - T_{3L})$$

Hadronic width

$$\frac{\delta R_h}{R_h} \Rightarrow \frac{\delta g_{Lu}}{g_{Lu}} < .002$$

correction=0
@tree-level



Dijet search (by ATLAS/CMS)

$$\sin^2 \varphi_{qL,R} \lesssim \frac{1}{g_\rho} \left(\frac{m_\rho}{3 \text{ TeV}} \right)$$

RH quarks can be
easily fully composite!



high p_T in MFV

Resonance production



~~strongly suppressed for light quarks!~~

$\Rightarrow O(1)$ coupling to light quarks!

“Ultra-visible”

Michele Redi, AW

production cross-section of color octet spin-1:

(similar conclusions for spin 1/2)

g_ρ	$\sin \varphi_{u_R}$	$\sin \varphi_{d_R}$	$\sigma(\text{pb})$	$\Gamma(\text{GeV})$	$\text{Br}(u\bar{u})$	$\text{Br}(t_L\bar{t}_L)$	$\text{Br}(t_R\bar{t}_R)$
3	RS	RS	3.3	425	0.05	0.045	0.76
5	RS	RS	2.7	1075	0.006	0.0005	0.97
3	0.7	0.7	41	825	0.17	0.0004	.16
5	0.5	0.5	24	645	0.17	0.01	0.15
2	1	.25	74	990	0.30	0.006	0.27
3	1	.25	375	2200	0.33	0.0008	0.032

> 10 x anarchic (RS) model !

Flavor Gauge Boson @ Tevatron?

Csaki, Kagan, Lee, Perez, AW

$$\mathcal{L} = g_{eff} \bar{u}_R V_\mu^A \frac{T^A}{2} \gamma_\mu u_R + h.c.$$

Can partially explain

A_{FB} with the usual constraints:

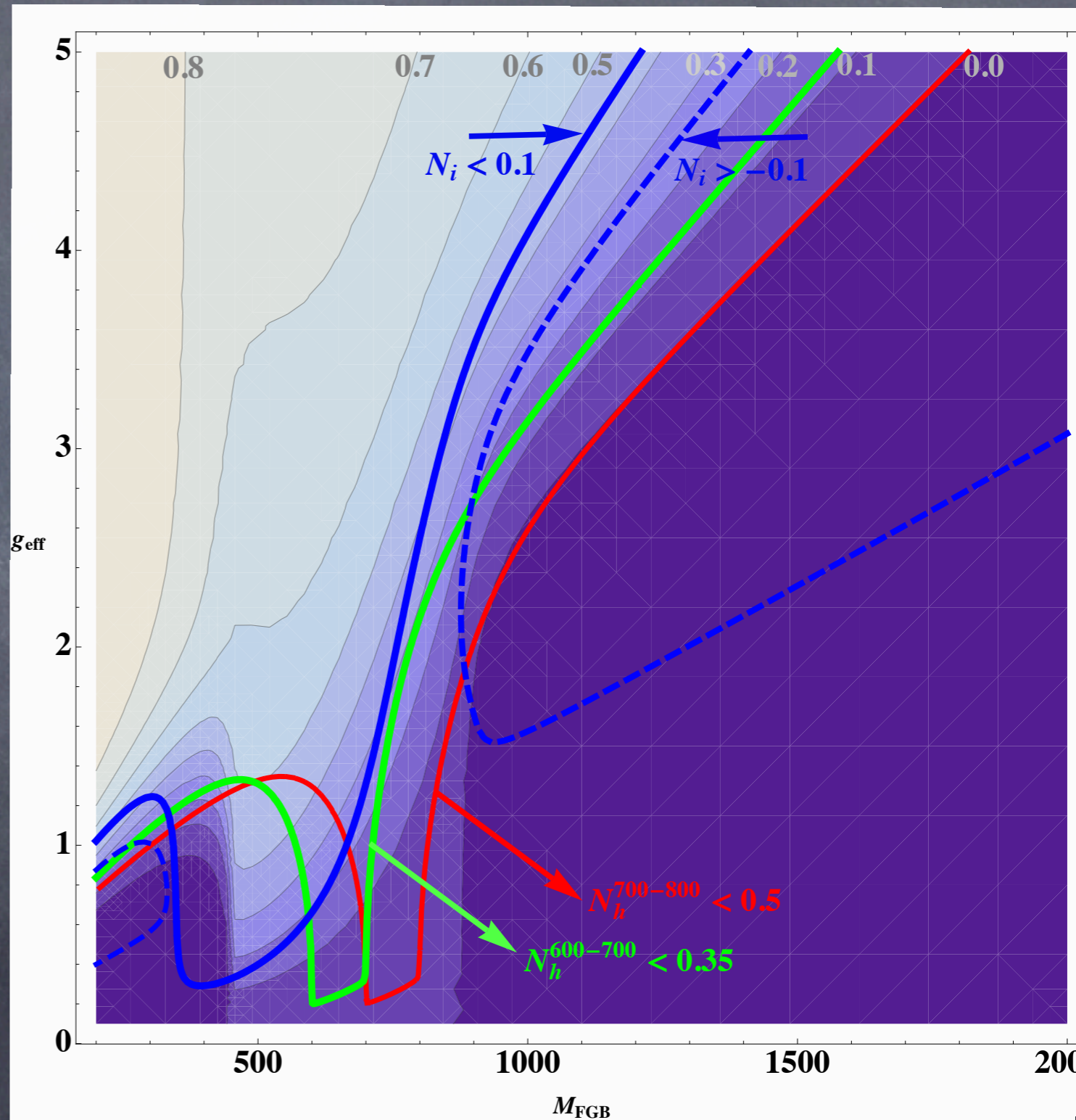
i) $\delta\sigma_{700-800\text{ GeV}}^{\text{NP}} / \sigma_{700-800\text{ GeV}}^{\text{SM}} \lesssim 47\%$

ii) $\delta\sigma_{t\bar{t}}^{\text{NP}} / \sigma_{t\bar{t}}^{\text{SM}} \lesssim 10\%$

$M_{\text{FGB}} < 900\text{ GeV}$, $g_{\text{eff}} \sim O(1)$

$A_{FB}^{t\bar{t}}(M_{\text{inv}} > 450\text{ GeV}) \lesssim 10\%$

$\sigma_{\text{NP}} / \sigma_{\text{SM}}(p_T > 400\text{ GeV})$: 2-3



2) chromo-magnetic EDM of the top

1106.xxxx with
Jernej Kamenik (IJS, Ljubljana) &
Michele Papucci (CERN/LBL)

Measure CPV of the top?

Chromo-electric and chromo-magnetic dipole

$$\mathcal{L}_{t\bar{t}G} = -g_s \bar{t} \gamma^\mu G_\mu t - i \frac{d'_t}{2} \bar{t} \sigma^{\mu\nu} \gamma_5 G_{\mu\nu} t - \frac{\mu'_t}{2} \bar{t} \sigma^{\mu\nu} G_{\mu\nu} t$$

CEDM

CMDM

Can be sizable in partial compositeness, RS, susy
(light top partners required by naturalness)

ttbar cross-section

P. Haberl, O. Nachtmann, A. Wilch

qq → tt

$$\frac{d\hat{\sigma}_{q\bar{q}}}{d\hat{t}} = \frac{\pi\alpha_s^2}{\hat{s}^2} \frac{8}{9} \left(\frac{1}{2} - v + z - 2\hat{\mu}'_t + (\hat{\mu}'_t{}^2 - \hat{d}'_t{}^2) + (\hat{\mu}'_t{}^2 + \hat{d}'_t{}^2) \frac{v}{z} \right)$$

and similar for gg initial state

see e.g. Hioki et al, Peskin et al,
many more

Experimental constraints

Tevatron

$$\sigma_{\text{obs}}^{1.96 \text{ TeV}} = 7.5 \pm 0.31(\text{stat}) \pm 0.34(\text{syst}) \pm 0.15(\text{lumi}) \text{ pb}$$

$$\sigma_{700} \equiv \sigma^{t\bar{t}}(700 \text{ GeV} < M_{t\bar{t}} < 800 \text{ GeV}) = 80 \pm 37 \text{ fb},$$

ATLAS

five-channel combined	$180 \pm 9 \text{ (stat.)} \pm 15 \text{ (syst.)} \pm 6 \text{ (lumi.)}$
-----------------------	--

CMS

$$158 \pm 10 \pm \frac{15}{15} \pm 6$$

(36 pb⁻¹)

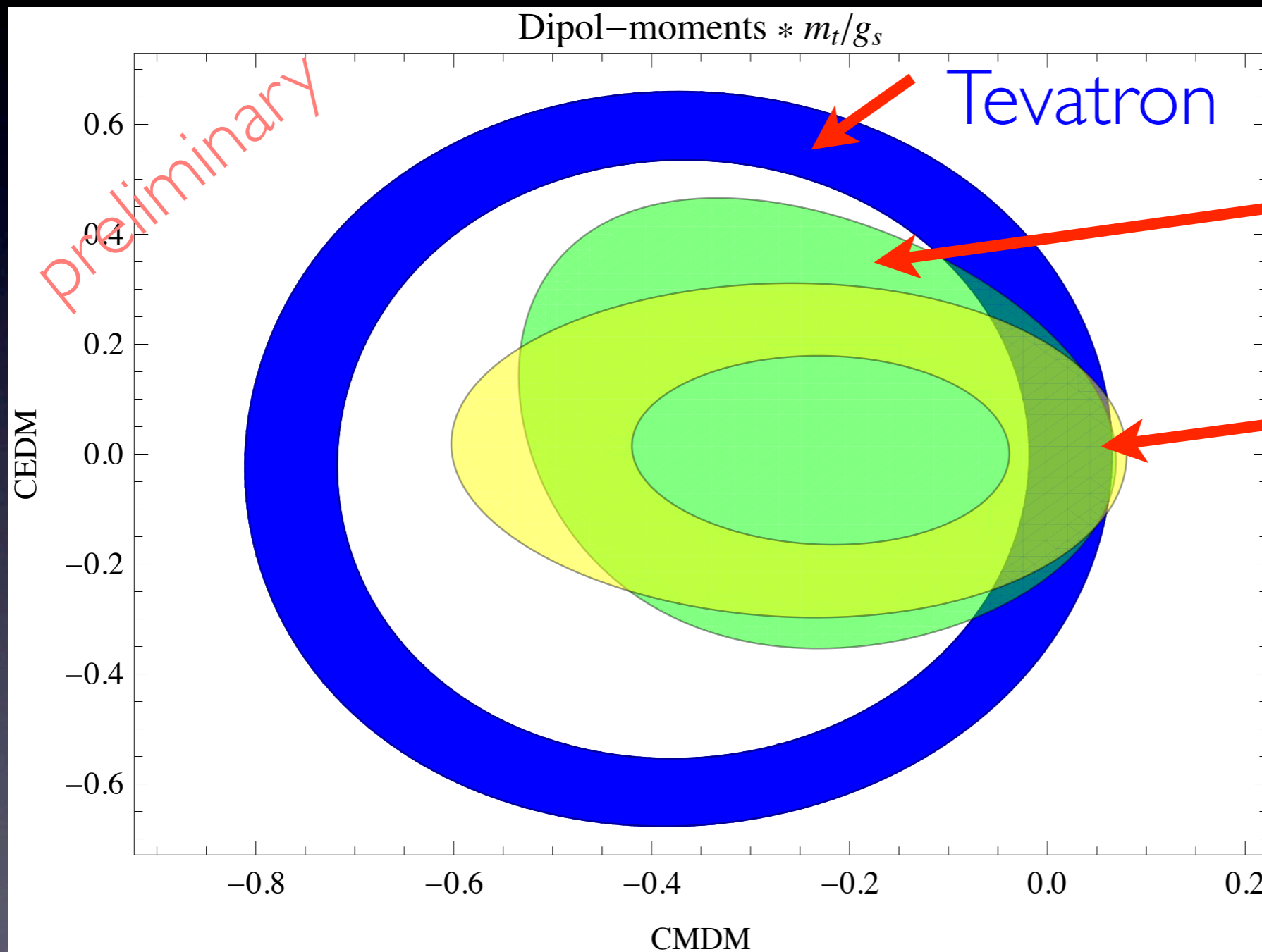
Ahrens et al., Kidonakis

vs. SM theory:

	Tevatron		LHC7	
	MSTW	CTEQ	MSTW	CTEQ
LO	$6.66^{+2.95+(0.34)}_{-1.87-(0.27)}$	$5.45^{+2.16+0.33(0.29)}_{-1.42-0.27(0.24)}$	$122^{+49+(6)}_{-32-(7)}$	$100^{+35+9(7)}_{-24-8(7)}$
NLO	$6.72^{+0.41+0.47(0.37)}_{-0.76-0.45(0.24)}$	$6.77^{+0.40+0.50(0.43)}_{-0.74-0.40(0.34)}$	$159^{+20+14(8)}_{-21-13(9)}$	$148^{+18+13(11)}_{-19-12(10)}$
NNLO approx.	$6.63^{+0.07+0.63(0.33)}_{-0.41-0.48(0.25)}$	$6.91^{+0.09+0.53(0.46)}_{-0.44-0.43(0.36)}$	$155^{+8+14(8)}_{-9-14(9)}$	$153^{+8+13(11)}_{-8-12(10)}$

Top Chromo-electric dipole

Kamenik, Papucci, W

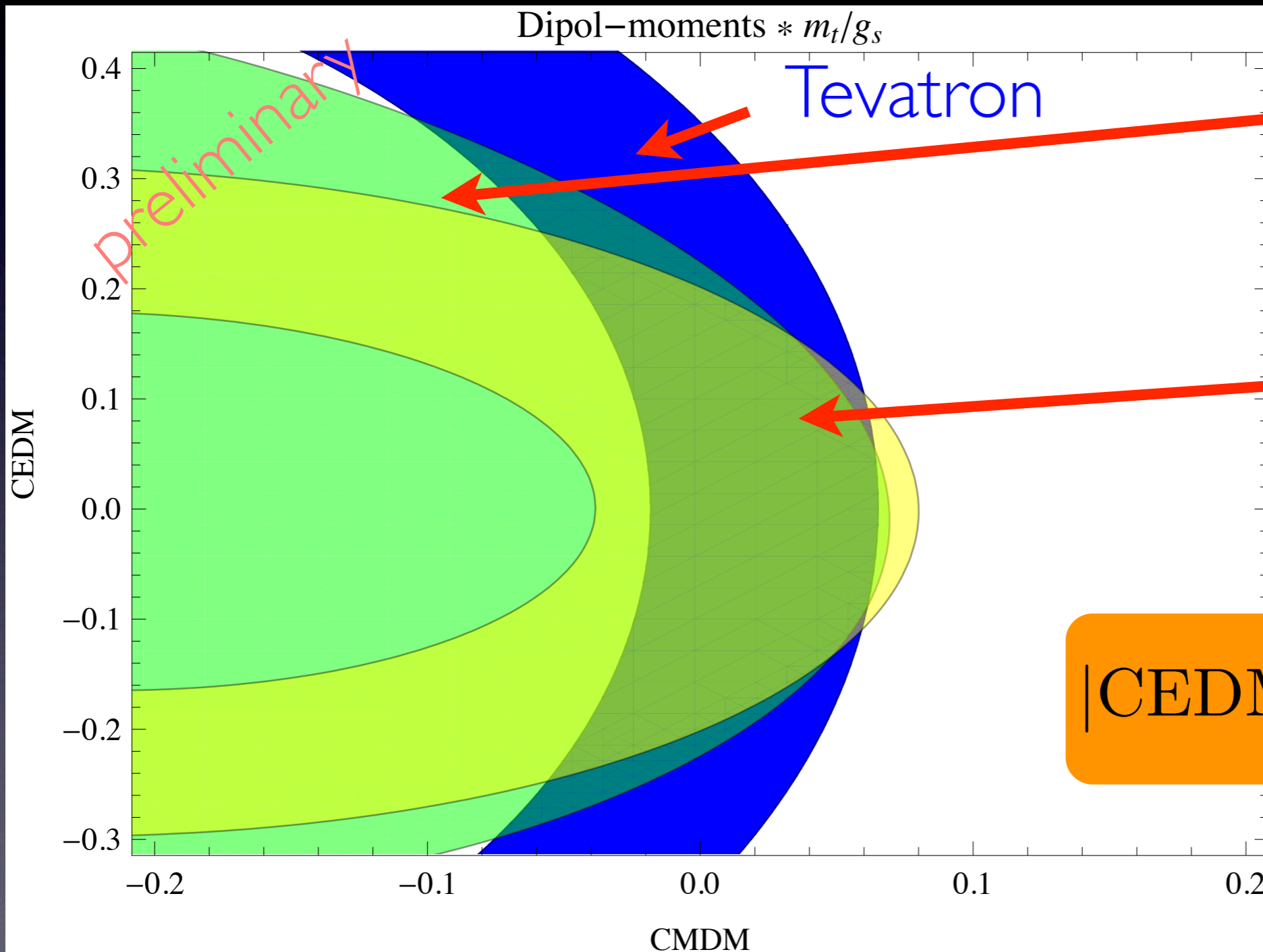


Ahrens et al.

mathematica + mstw08 pdf's, SM normalized to "N" NLO

Top Chromo-electric dipole

Kamenik, Papucci, W



CDF
 $700 < m_{tt} < 800$ GeV

LHC (35 1/pb)

$$|\text{CEDM}_{top}| < 0.25 / m_{top}$$

@ 95 % CL

Constraints from *neutron EDM*?

Weinberg op. mixes into chromo-magnetic top

But chromo-magnetic top does **not** mix into Weinberg operator (which would lead to neutron EDM)

QFT: no mixing of higher dim op.'s in lower dim.

$$O_e^q = -\frac{i}{2} e Q_q m_q \bar{q} \sigma^{\mu\nu} \gamma_5 q F_{\mu\nu},$$

$$O_c^q = -\frac{i}{2} m_q \bar{q} \sigma^{\mu\nu} t^a \gamma_5 q G_{\mu\nu}^a,$$

$$O_G = -\frac{1}{6} f^{abc} G_{\mu\rho}^a G_{\nu}^{b\rho} G_{\lambda\sigma}^c \epsilon^{\mu\nu\lambda\sigma}$$

Constraints from *neutron EDM*?

Weinberg op. mixes into chromo-magnetic top

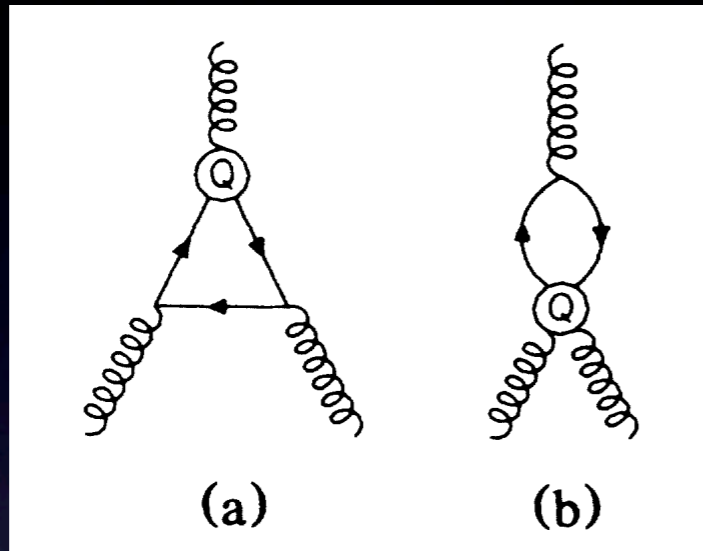
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But there's a finite part at 1 loop!

Constraints from *neutron EDM*?



$$C_G(m_Q^-) = C_G(m_Q^+)$$

$$+ C_Q(M) \left(\frac{g_s(m_Q)}{g_s(M)} \right)^{\gamma_{qq}/\beta} \frac{1}{8\pi} \frac{\alpha_s(m_Q)}{m_Q}$$

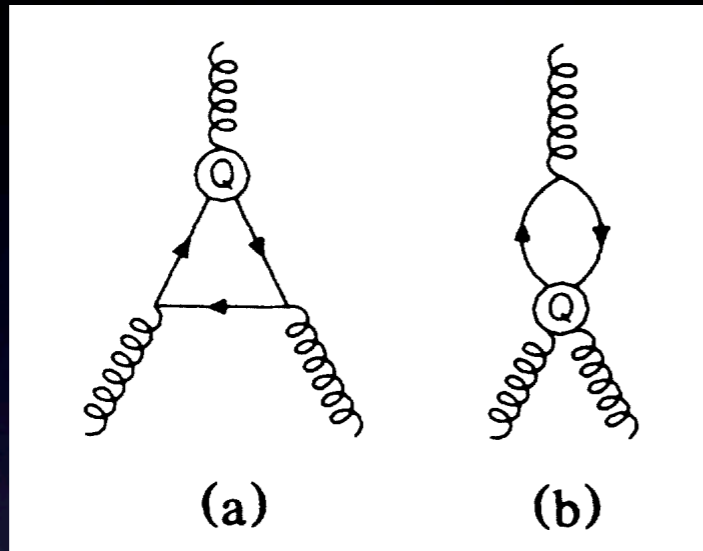
Finite threshold correction

Chang et. al, Braaten et. al 90's

$$@ m_{\text{top}} \quad C_{\text{Weinberg}} = \frac{g_s^2}{32\pi^2} \text{CEDM}_{\text{top}}$$

Weinberg 89, Pospelov et. al

Constraints from *neutron EDM*?



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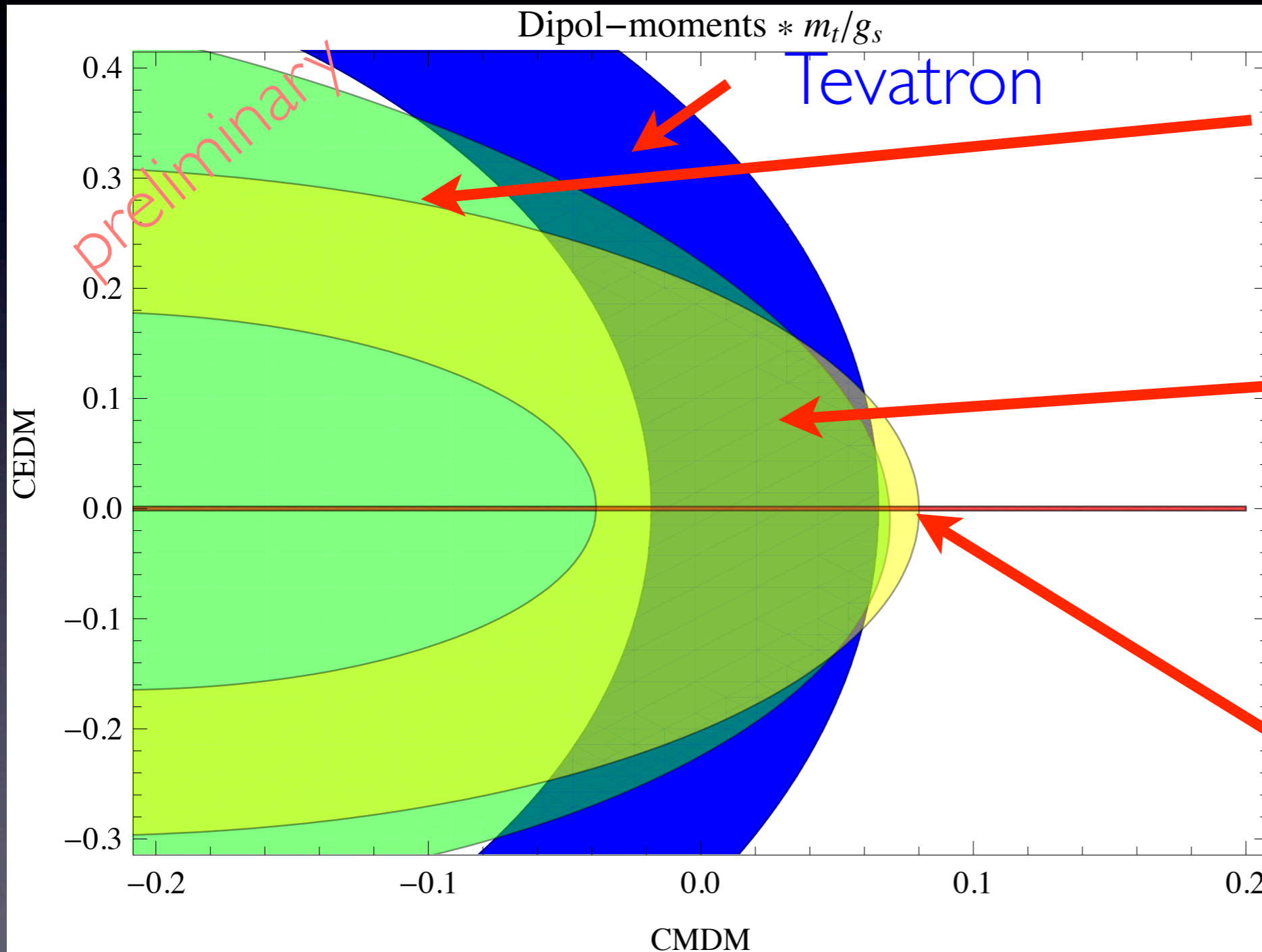
Weinberg 89, Pospelov et. al

→ Weinberg op contributes to neutron EDM!

$$d_n(w) = e (10 - 30) \text{ MeV } w(1 \text{ GeV})$$

Top Chromo-electric dipole

Kamenik, Papucci, W



preliminary

CDF
 $700 < m_{tt} < 800$ GeV

LHC (35 $1/\text{pb}$)

New constraint!

$EDM_{neutron}$

Top Chromo-electric dipole

Kamenik, Papucci, W

Our new constraint is $\sim 100x$ stronger than direct collider constraints and somehow has been missed.

Cross-section limits are now not sensitive any more, but CPV observables (a.(b x c)) might be stronger.

Interesting to study in any non CPV-conserving scenarios with light top partners (any natural model...)!

3) Naturalness vs. flavor blind susy breaking

Fast forward to **Fall 2011** (or even 2012?)
and nothing new yet

in progress w/ Michele Papucci (CERN/LBL)

susy is the prime example for flavor triviality, use flavor blind susy breaking (GMSB) and decouple flavor genesis.

Still natural after 5 $1/\text{fb}$ LHC7?

Susy & naturalness

- o Susy stabilizes the weak scale $M_Z \ll M_{Planck}$

$$\frac{m_Z^2}{2} = -|\mu|^2 + \dots + \delta m_H^2$$

$$\delta m_H^2 \simeq -\frac{3y_t^2}{8\pi^2} (m_{Q_3}^2 + m_{U_3}^2 + |A_t|^2) \ln \left(\frac{M}{m_{\tilde{t}}} \right)$$

- o Natural iff higgsinos and **stops** not too heavy
< $O(\text{few } 100 \text{ GeV})$, unavoidable!

$$m_{\tilde{t}}^2 \lesssim (500\text{GeV})^2 \left(\frac{10}{\ln(M/m_{\tilde{t}})} \right)$$

Susy & naturalness

- o Gluinos enter the higgs potential @ 2loop, mass is bounded too

$$\delta m_{\tilde{t}}^2 \simeq \frac{8\alpha_s}{3\pi} M_3^2 \ln \left(\frac{M}{m_{\tilde{t}}} \right)$$

- o The MSSM is tuned, tension from LEP Higgs bound $O(1 \text{ in } 100)$

=> talk by Djouadi

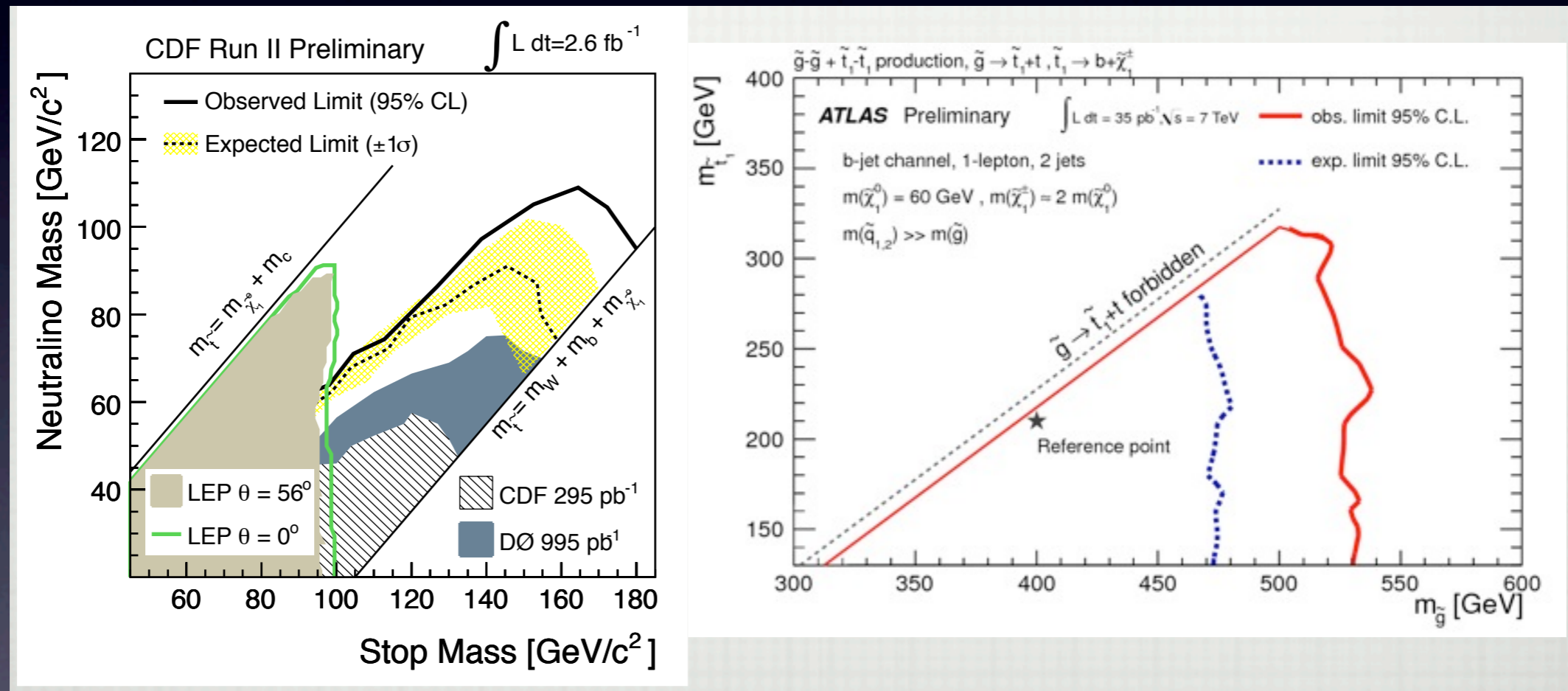
$$m_h^2 \simeq m_Z^2 \cos^2 2\beta + \frac{3}{4\pi^2} \frac{m_t^4}{v^2} \left[\log \frac{m_{\tilde{t}}^2}{m_t^2} + \frac{X_t^2}{m_{\tilde{t}}^2} \left(1 - \frac{X_t^2}{12m_{\tilde{t}}^2} \right) \right] \quad X_t = A_t - \mu \cot \beta$$

Higgs tuning may be reduced by extending the MSSM

A natural (light) 3rd gen?

talks by Hoecker, Boccali

- o Present searches do not exclude light stops/sbottoms, susy can still be natural

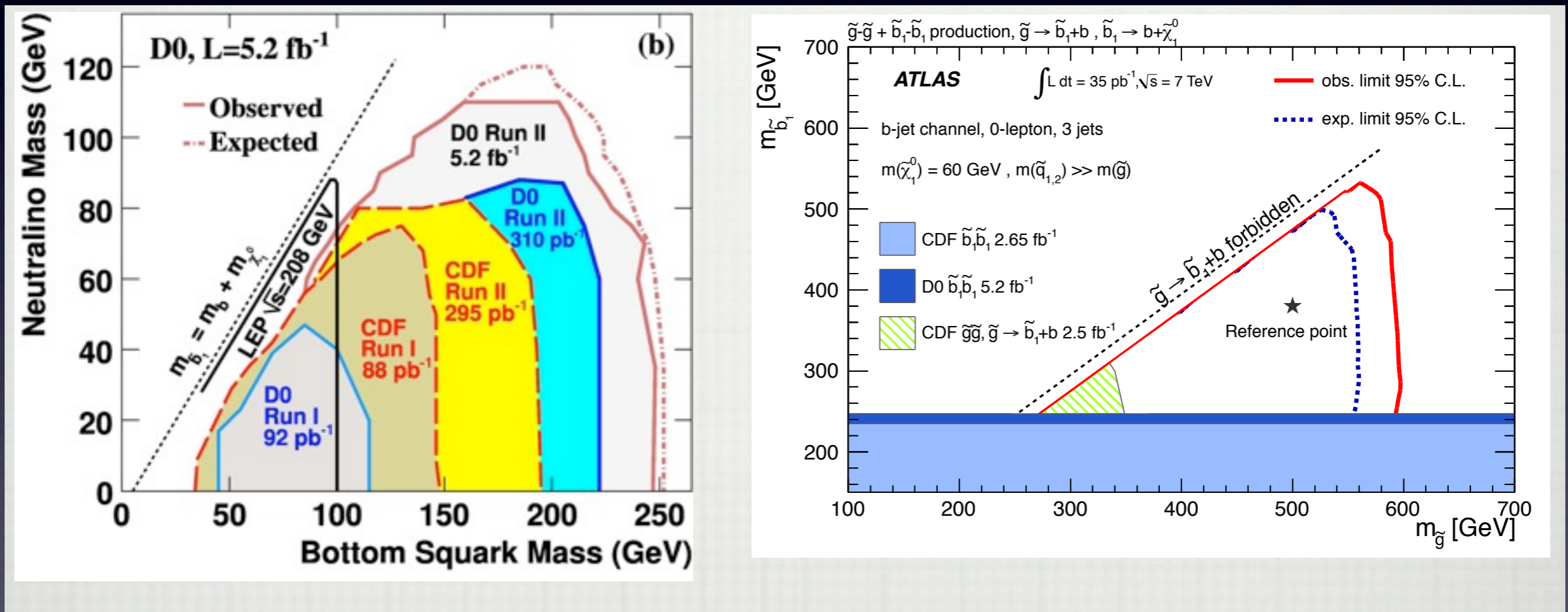


- o Limits well below 250-350 GeV if gluinos, squarks_{1,2}, ... are decoupled

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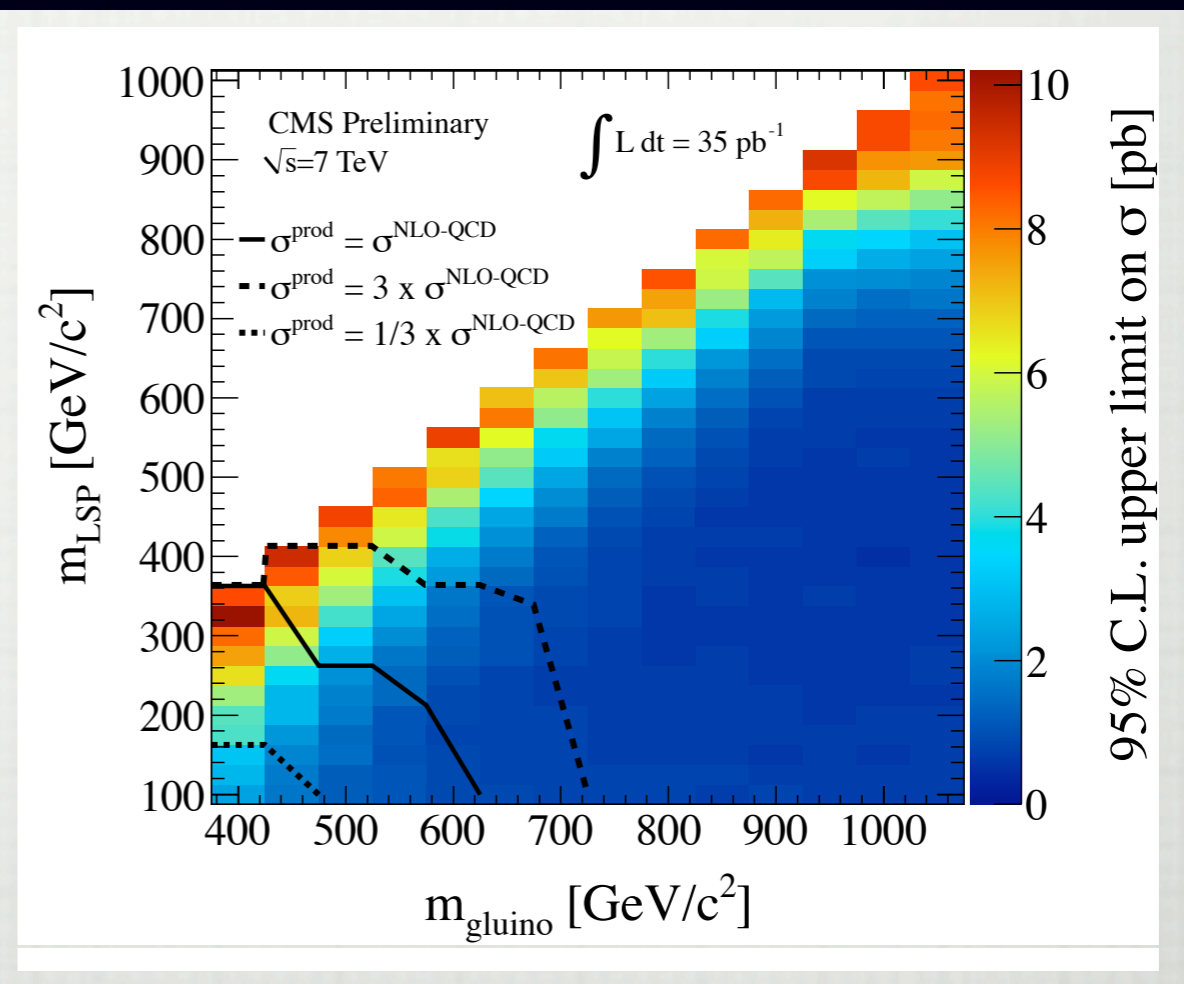
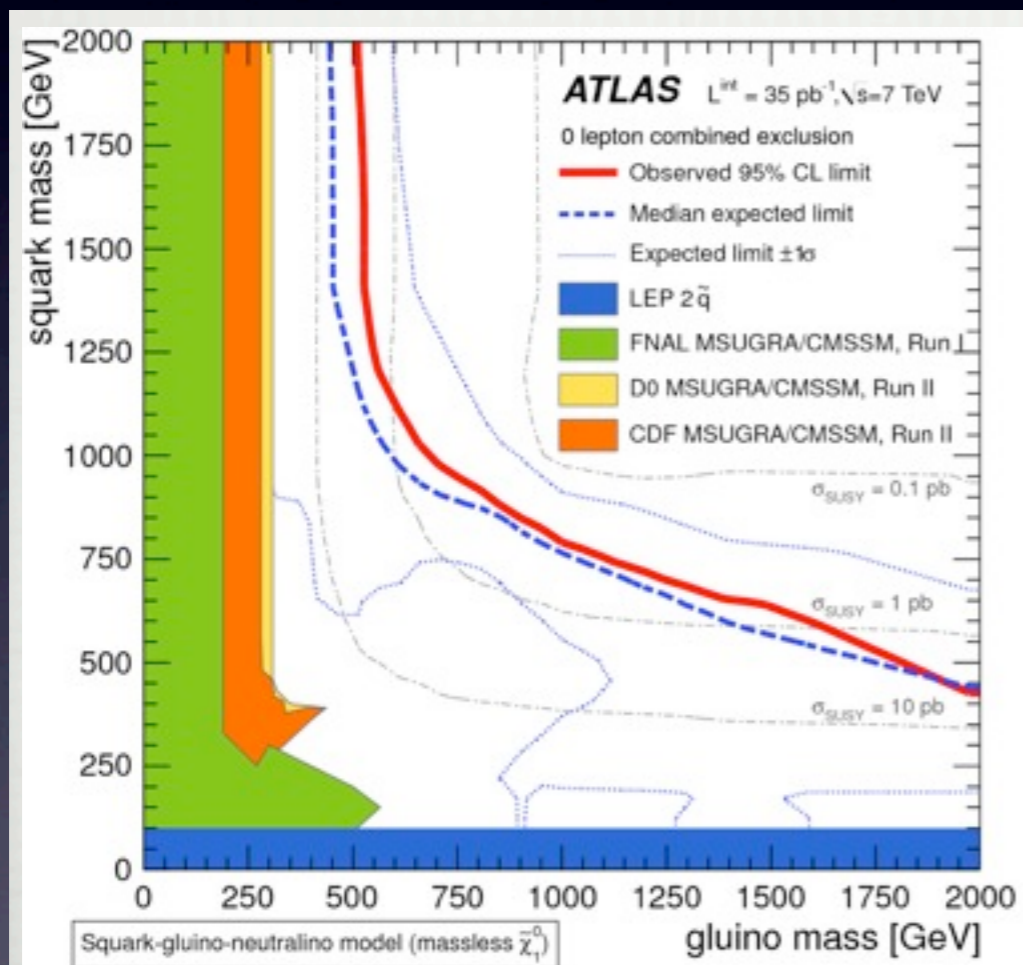


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Limits on Squarks & Gluinos

talks by Hoecker, Boccali

Early (Jets+MET+(0,1) lepton) searches put **strong limits** on gluinos first two generations of squarks



Already have to be **> 500-600 GeV!**

Splitting the generations

stop mass

perturbatively

$$M_{\tilde{t}}^2 \simeq \begin{pmatrix} m_{Q_3}^2 + \Delta/6 + m_t^2 + D_{u_L} & m_t (A_t - \mu/\tan\beta) \\ m_t (A_t - \mu/\tan\beta) & m_{U_3}^2 + \Delta/3 + m_t^2 + D_{u_R} \end{pmatrix}$$

1st and 2nd generation: $(A_t \rightarrow 0, \Delta \rightarrow 0, m_t \rightarrow 0)$

$$\Delta \simeq \frac{3y_t^2}{4\pi^2} (f_{33}(t)M_3^2 + f_{3t}(t)M_3A_t + f_{tt}(t)A_t^2 + f(t)(m_{H_u}^2 + m_{Q_3}^2 + m_{U_3}^2) + \dots)$$

$t = \ln(M_{mess}/m_{\tilde{t}})$

Flavor universal boundary conditions:

$M_3, A_t, m_{H_u}, M_{Q_3}, M_{u_3}$ bounded from above \rightarrow

splitting between 1,2 vs. 3 is bounded from above

Fall 2011 (2012?)

Difficult to extrapolate experimental constraints, (analysis in final stages), **BUT**

Stop/Bottom: most holes closed this summer, increased limit (350~400 GeV)

Gluinos & light squarks limits well above 1 TeV, likely around 1.5 TeV.

Already some tension but still not high tuning!

Split spectrum necessary for naturalness

Fall 2011 (2012?)

Difficult to extrapolate experimental constraints, (analysis in final stages), BUT

Stop/Bottom: most holes closed, $m_{\tilde{t}_1}$ lower, increased limit (350 GeV)

Gluginos & \tilde{g} : $m_{\tilde{g}}$ well above 1 TeV, likely a $\tilde{g} \rightarrow t\bar{t}$ signal

Already some tension but still not high tuning!

**Flavor non-universal
susy breaking!**

Split spectrum necessary for naturalness

General message

Natural *Susy* surviving this fall (w/ no observed signal) likely involves *flavor non-universal susy breaking* (“flavorful susy”).

=> talk by Isidori, Lalak

Caveats:

- o squeezing the spectrum (tuning?)
- o engineer small missing E_T (not looking for it)
- o R-parity violation ...

Conclusions

MFV with split doublets solves flavor and EWPT problems of partial compositeness, early discovery at LHC.

A new & very strong bound on the CEDM tough to see at LHC. BUT: Very important to test models with large CPV in the top sector!

Supersymmetry can still be natural but if nothing is seen until 2011 ('12?), flavor blind susy breaking is tuned.

The SM flavor puzzle

$$Y_D \approx \text{diag} (2 \cdot 10^{-5} \quad 0.0005 \quad 0.02)$$

$$Y_U \approx \begin{pmatrix} 6 \cdot 10^{-6} & -0.001 & 0.008 + 0.004i \\ 1 \cdot 10^{-6} & 0.004 & -0.04 + 0.001i \\ 8 \cdot 10^{-9} + 2 \cdot 10^{-8}i & 0.0002 & 0.98 \end{pmatrix}$$

Origin of this structure?

Other dimensionless parameters of the SM:

$$g_s \approx 1, \quad g \approx 0.6, \quad g' \approx 0.3, \quad \lambda_{Higgs} \approx 1, \quad |\theta| < 10^{-9}$$

Operator	Bounds on Λ in TeV ($c_{ij} = 1$)		Bounds on c_{ij} ($\Lambda = 1$ TeV)		Observables
	Re	Im	Re	Im	
$(\bar{s}_L \gamma^\mu d_L)^2$	9.8×10^2	1.6×10^4	9.0×10^{-7}	3.4×10^{-9}	$\Delta m_K; \epsilon_K$
$(\bar{s}_R d_L)(\bar{s}_L d_R)$	1.8×10^4	3.2×10^5	6.9×10^{-9}	2.6×10^{-11}	$\Delta m_K; \epsilon_K$
$(\bar{c}_L \gamma^\mu u_L)^2$	1.2×10^3	2.9×10^3	5.6×10^{-7}	1.0×10^{-7}	$\Delta m_D; q/p , \phi_D$
$(\bar{c}_R u_L)(\bar{c}_L u_R)$	6.2×10^3	1.5×10^4	5.7×10^{-8}	1.1×10^{-8}	$\Delta m_D; q/p , \phi_D$
$(b_L \gamma^\mu d_L)^2$	5.1×10^2	9.3×10^2	3.3×10^{-6}	1.0×10^{-6}	$\Delta m_{B_d}; S_{\psi K_S}$
$(\bar{b}_R d_L)(\bar{b}_L d_R)$	1.9×10^3	3.6×10^3	5.6×10^{-7}	1.7×10^{-7}	$\Delta m_{B_d}; S_{\psi K_S}$
$(b_L \gamma^\mu s_L)^2$		1.1×10^2		7.6×10^{-5}	Δm_{B_s}
$(\bar{b}_R s_L)(\bar{b}_L s_R)$		3.7×10^2		1.3×10^{-5}	Δm_{B_s}

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Very strong suppression! New flavor violation must either approximately (exactly?) follow SM pattern...

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Very strong suppression! New flavor violation must either **approximately (exactly?) follow SM pattern...**

... or exist only at **very high scales ($10^2 - 10^5$ TeV)**

$$Y_D \approx \text{diag} (2 \cdot 10^{-5} \quad 0.0005 \quad 0.02)$$

$$Y_U \approx \begin{pmatrix} 6 \cdot 10^{-6} & -0.001 & 0.008 + 0.004i \\ 1 \cdot 10^{-6} & 0.004 & -0.04 + 0.001i \\ 8 \cdot 10^{-9} + 2 \cdot 10^{-8}i & 0.0002 & 0.98 \end{pmatrix}$$

Log(SM flavor puzzle)

$$-\log |Y_D| \approx \text{diag} (11 \quad 8 \quad 4)$$

$$-\log |Y_U| \approx \begin{pmatrix} 12 & 7 & 5 \\ 14 & 6 & 3 \\ 18 & 9 & 0 \end{pmatrix}$$

If $Y = e^{-\Delta}$, then the Δ don't look crazy.

anarchic (“structure-less”)



$$\text{Mass}_{ij} \propto Y_{ij} e^{-MR(c_i + c_j)}$$

split fermions/RS

$$\propto Y_{ij} \left(\frac{\mu_{\text{low}}}{\mu_{\text{high}}} \right)^{\gamma^i + \gamma^j}$$

strong dynamics

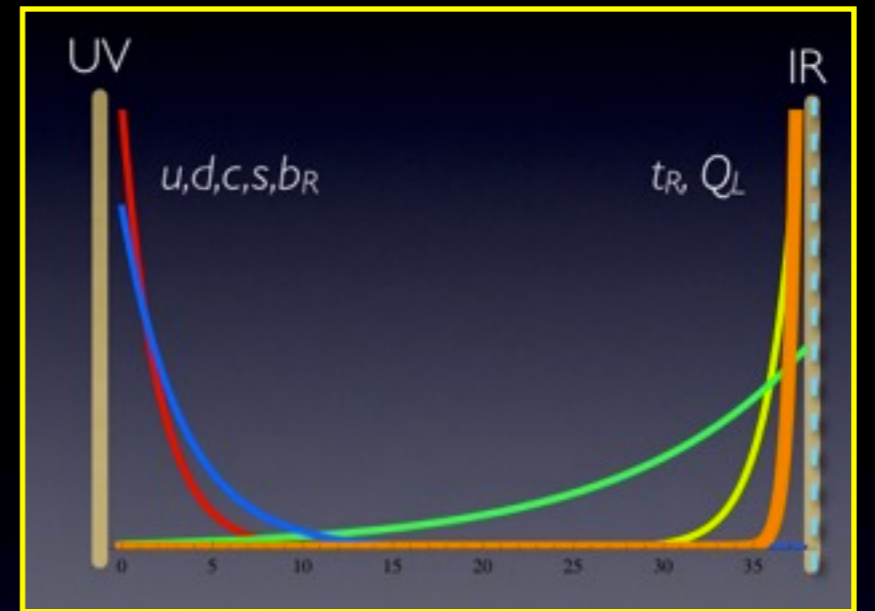
$$\propto Y_{ij} \left(\frac{\langle \Phi \rangle}{M_{\text{mess}}} \right)^{Q^i - Q^j}$$

Froggatt-Nielsen



Hierarchy $\left\{ \begin{array}{l} \Rightarrow \text{hierarchical} \\ \text{masses \& mixing angles} \end{array} \right.$

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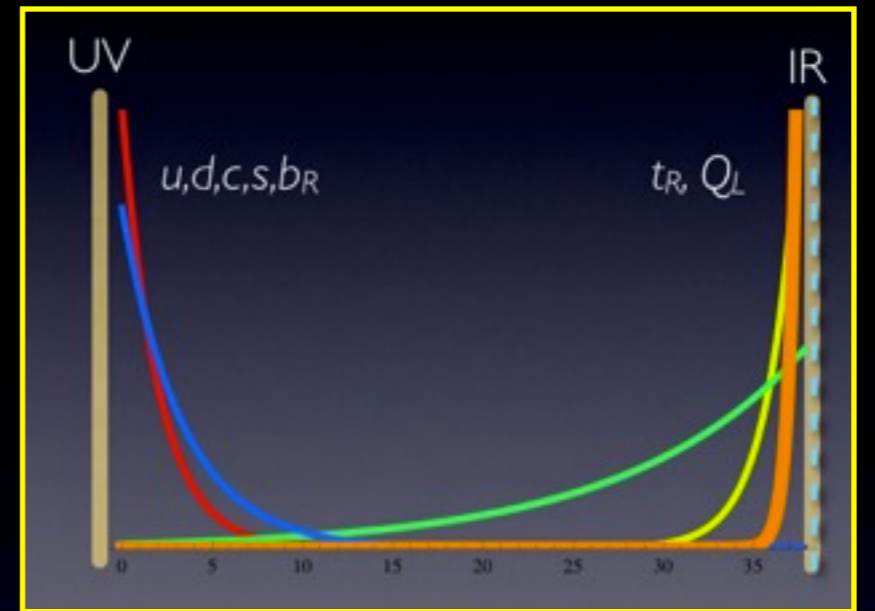
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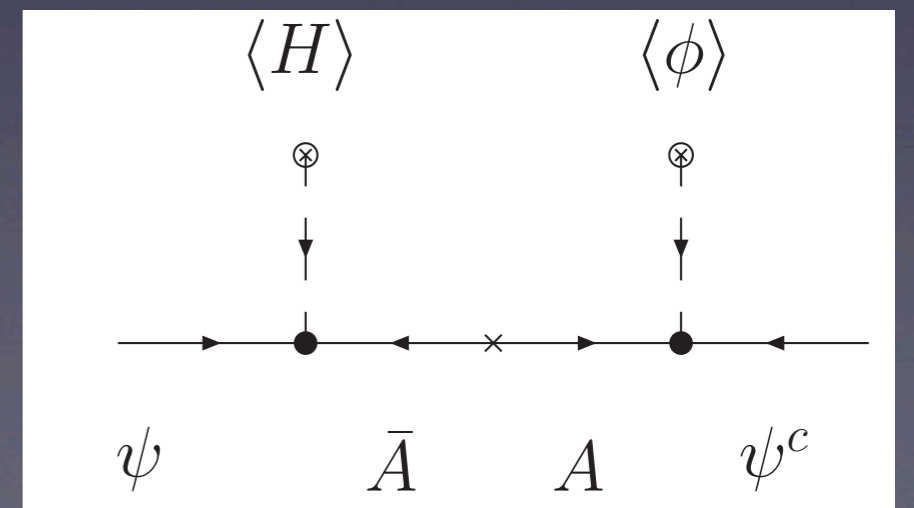
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Hierarchy $\left\{ \begin{array}{l} \Rightarrow \text{hierarchical} \\ \text{masses \& mixing angles} \end{array} \right.$



Flavorgenesis scale?



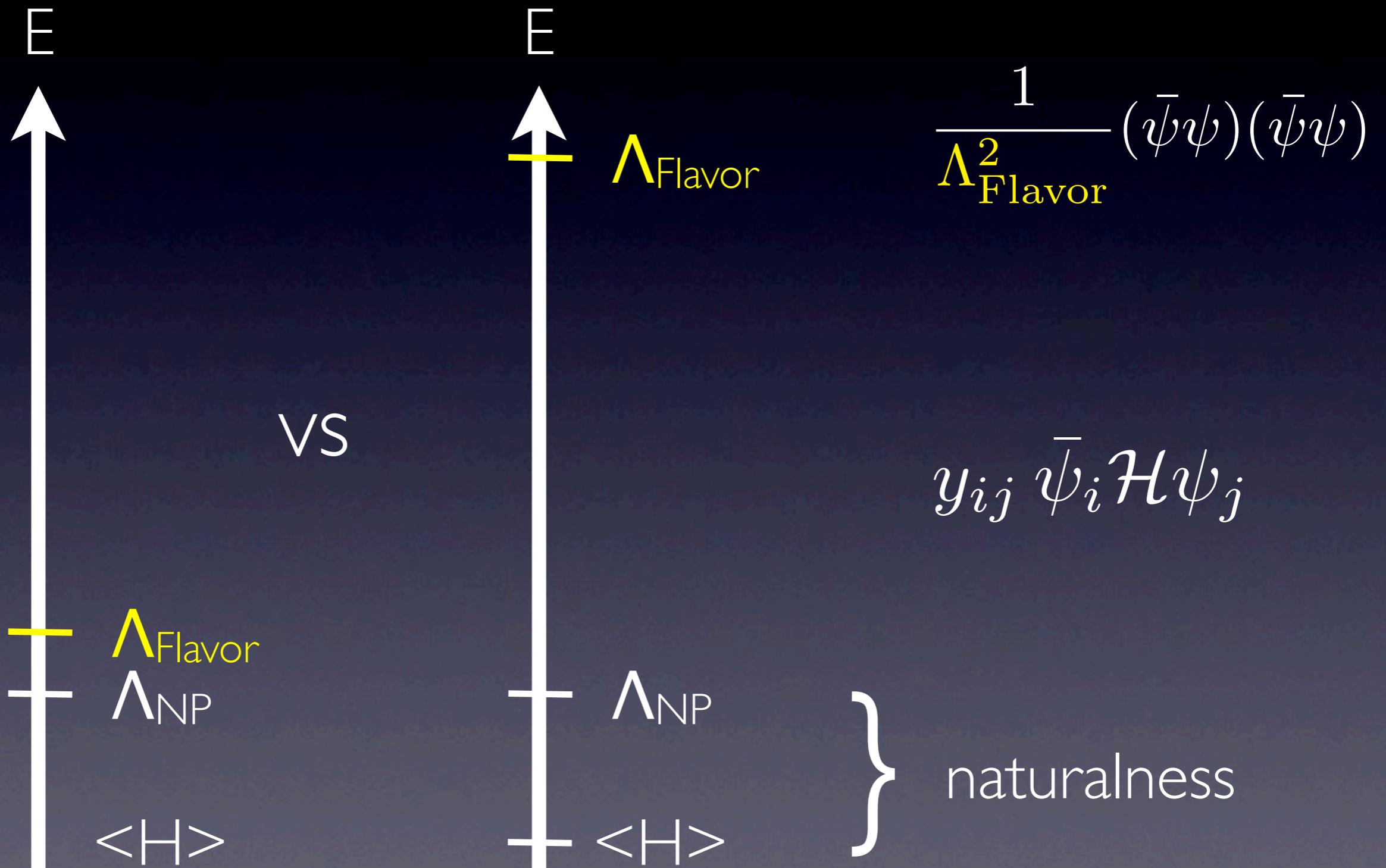
Λ_{Flavor}
 Λ_{NP}
 $\langle H \rangle$

$$\frac{1}{\Lambda_{\text{Flavor}}^2} (\bar{\psi}\psi) (\bar{\psi}\psi)$$

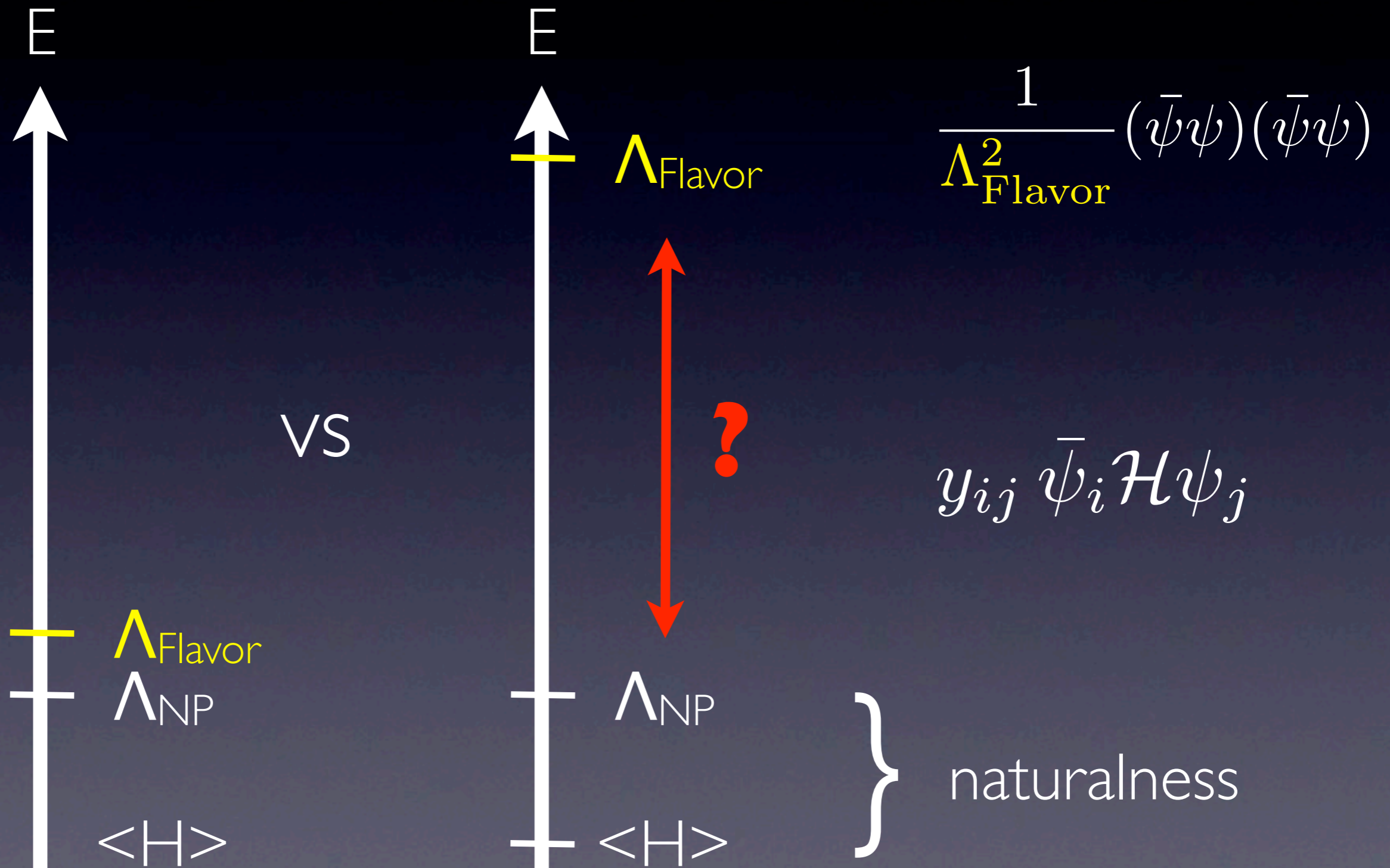
$$y_{ij} \bar{\psi}_i \mathcal{H} \psi_j$$

} naturalness

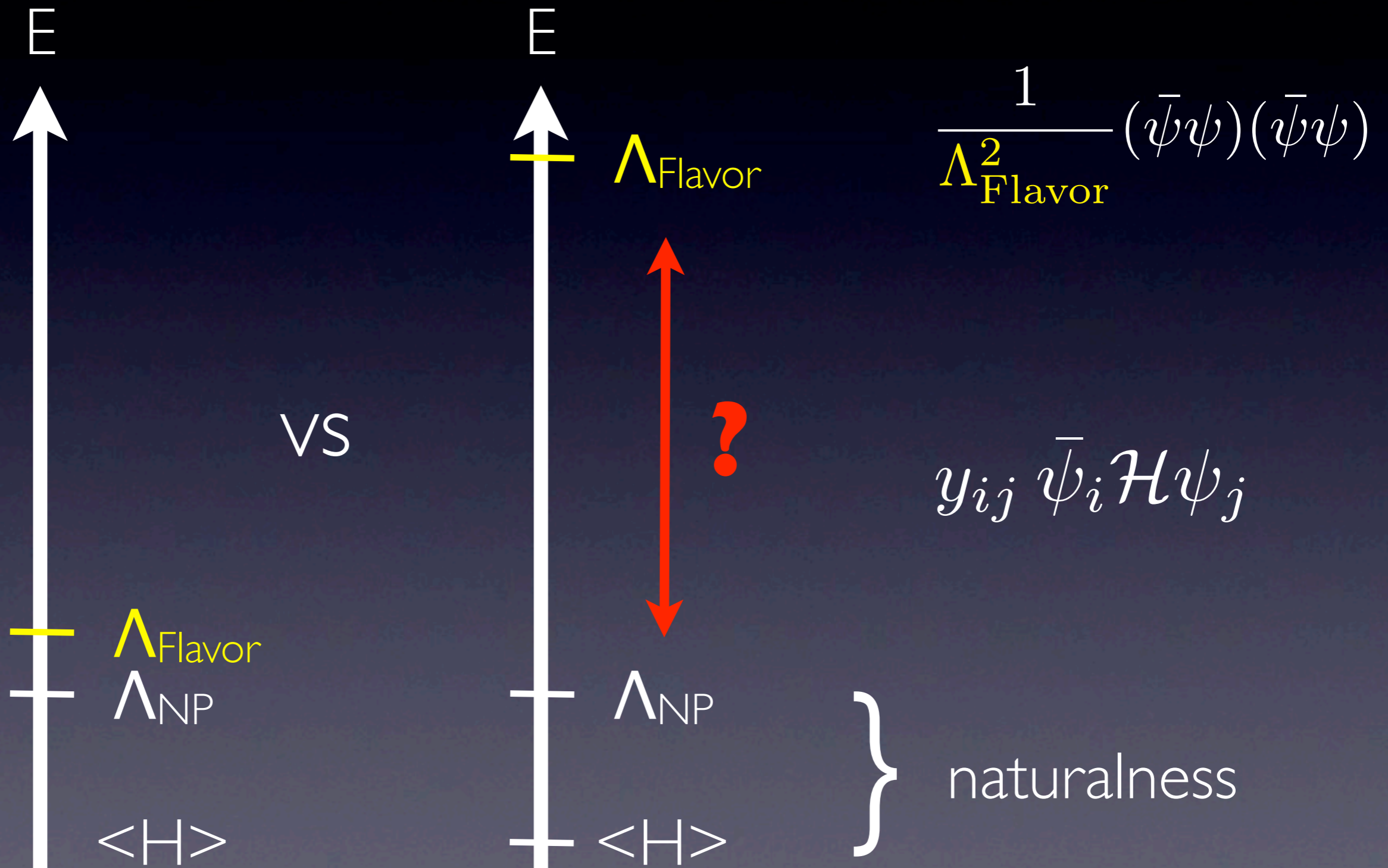
Flavorgenesis scale?



Flavorgenesis scale?



Flavorgenesis scale?



Flavorgenesis scale?



Λ_{Flavor}

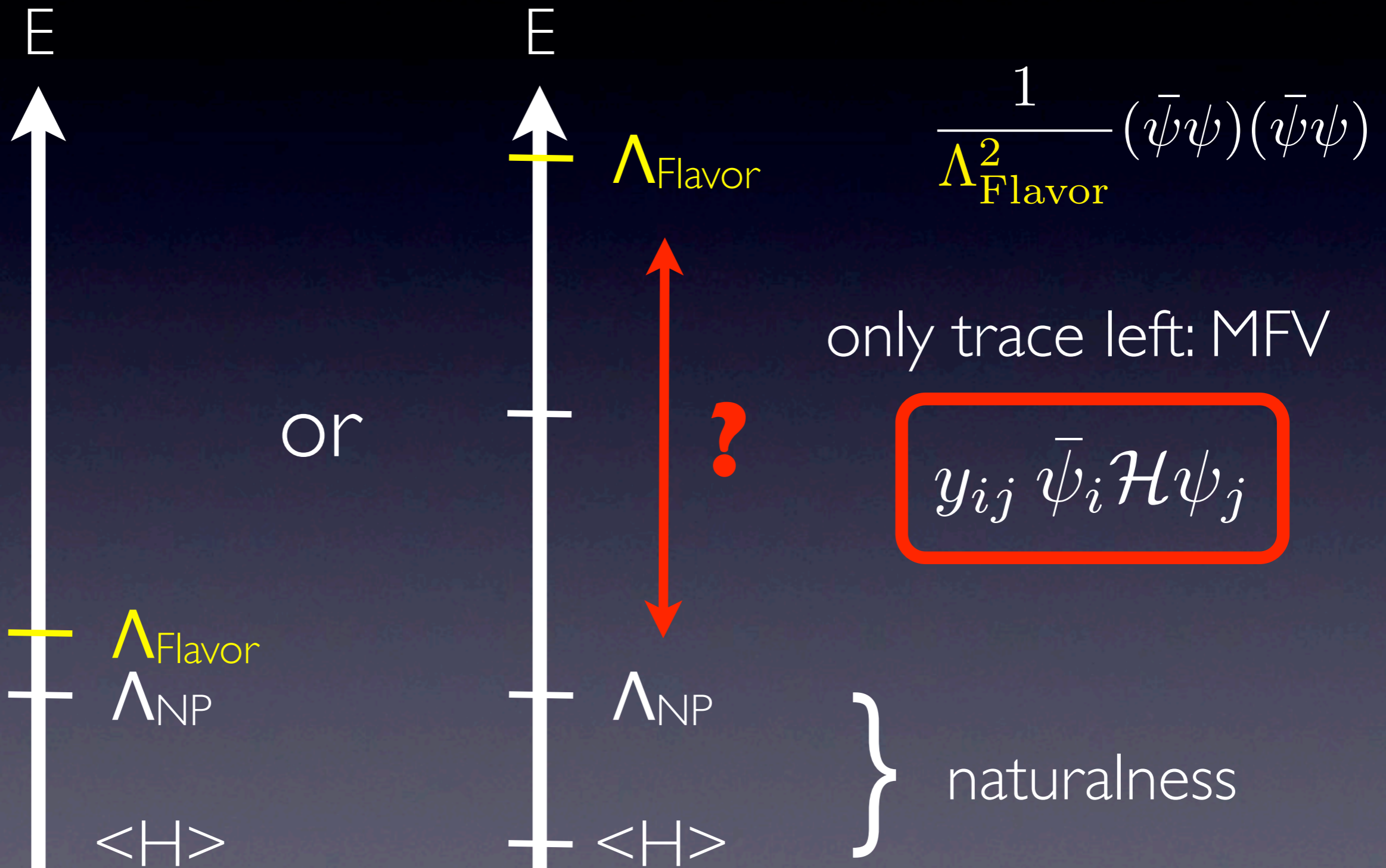
$$\frac{1}{\Lambda_{\text{Flavor}}^2} (\bar{\psi}\psi) (\bar{\psi}\psi)$$

Example: MSSM is MFV before susy breaking. If flavor is generated well above messenger scale, TeV theory flavor trivial (= MFV).

$$S = \int d^4x \left(\underbrace{d^2\theta d^2\bar{\theta}}_{\langle H \rangle} \Phi_i^* \exp(2g_A T_A^a V_A^a) \Phi_i + \left\{ d^2\theta \left[\mathcal{W}(\{\Phi_i\}) + \frac{1}{4} W_A^a W_A^a \right] + \text{h.c.} \right\} \right)$$



Flavorgenesis scale?



Model independent
constraints

Minimal flavor violation

UTfit, Buras et. al, Hurth et al

Tree

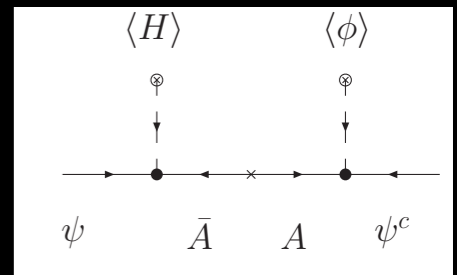
Operator	Bound on Λ	Observables
$H^\dagger (\bar{D}_R Y^{d\dagger} Y^u Y^{u\dagger} \sigma_{\mu\nu} Q_L) (e F_{\mu\nu})$	6.1 TeV	$B \rightarrow X_s \gamma, B \rightarrow X_s \ell^+ \ell^-$
$\frac{1}{2} (\bar{Q}_L Y^u Y^{u\dagger} \gamma_\mu Q_L)^2$	5.9 TeV	$\epsilon_K, \Delta m_{B_d}, \Delta m_{B_s}$
$H_D^\dagger (\bar{D}_R Y^{d\dagger} Y^u Y^{u\dagger} \sigma_{\mu\nu} T^a Q_L) (g_s G_{\mu\nu}^a)$	3.4 TeV	$B \rightarrow X_s \gamma, B \rightarrow X_s \ell^+ \ell^-$
$(\bar{Q}_L Y^u Y^{u\dagger} \gamma_\mu Q_L) (\bar{E}_R \gamma_\mu E_R)$	2.7 TeV	$B \rightarrow X_s \ell^+ \ell^-, B_s \rightarrow \mu^+ \mu^-$
$i (\bar{Q}_L Y^u Y^{u\dagger} \gamma_\mu Q_L) H_U^\dagger D_\mu H_U$	2.3 TeV	$B \rightarrow X_s \ell^+ \ell^-, B_s \rightarrow \mu^+ \mu^-$
$(\bar{Q}_L Y^u Y^{u\dagger} \gamma_\mu Q_L) (\bar{L}_L \gamma_\mu L_L)$	1.7 TeV	$B \rightarrow X_s \ell^+ \ell^-, B_s \rightarrow \mu^+ \mu^-$
$(\bar{Q}_L Y^u Y^{u\dagger} \gamma_\mu Q_L) (e D_\mu F_{\mu\nu})$	1.5 TeV	$B \rightarrow X_s \ell^+ \ell^-$

If 1-loop suppressed
like in MSSM $< TeV$!

$$\Lambda_{\text{loop}} \approx \left(\frac{\alpha}{4\pi}\right)^{\frac{1}{2}} \Lambda_{\text{tree}} \approx \frac{1}{10} \Lambda_{\text{tree}}$$

Alignment vs. MFV

Lalak et al



Flavour violating
dimension six operator

Λ/Λ_{MFV}

	Ex. 1	Ex. 2	Ex. 3	$U(1)^2$	N-A	F
$\mathcal{O}_0 = \frac{1}{2}(\bar{Q}_L X_{LL}^Q Q_L)^2$	ϵ^{-4}	ϵ^{-4}	1	1	ϵ^{-2}	1
$\mathcal{O}_{F1} = H^\dagger \left(\bar{D}_R X_{LR}^{D\dagger} \sigma_{\mu\nu} Q_L \right) F_{\mu\nu}$	$x\epsilon^{-2}$	$x\epsilon^{-3/2}$	$x\epsilon^{-2}$	$x\epsilon$	$x\epsilon^{-2}$	$x\epsilon^{-2}$
$\mathcal{O}_{G1} = H^\dagger \left(\bar{D}_R X_{LR}^{D\dagger} \sigma_{\mu\nu} T^a Q_L \right) G_{\mu\nu}^a$	$x\epsilon^{-2}$	$x\epsilon^{-3/2}$	$x\epsilon^{-2}$	$x\epsilon$	$x\epsilon^{-2}$	$x\epsilon^{-2}$
$\mathcal{O}_{\ell 1} = (\bar{Q}_L X_{LL}^Q \gamma_\mu Q_L)(\bar{L}_L \gamma_\mu L_L)$	ϵ^{-2}	ϵ^{-2}	1	1	ϵ^{-1}	1
$\mathcal{O}_{\ell 2} = (\bar{Q}_L X_{LL}^Q \gamma_\mu \tau^a Q_L)(\bar{L}_L \gamma_\mu \tau^a L_L)$	ϵ^{-2}	ϵ^{-2}	1	1	ϵ^{-1}	1
$\mathcal{O}_{H1} = (\bar{Q}_L X_{LL}^Q \gamma_\mu Q_L)(H^\dagger i D_\mu H)$	ϵ^{-2}	ϵ^{-2}	1	1	ϵ^{-1}	1
$\mathcal{O}_{q5} = (\bar{Q}_L X_{LL}^Q \gamma_\mu Q_L)(\bar{D}_R \gamma_\mu D_R)$	ϵ^{-2}	ϵ^{-2}	1	1	ϵ^{-1}	1

$$\epsilon = \frac{\text{flavon vev}}{\text{messenger mass}} \ll 1$$

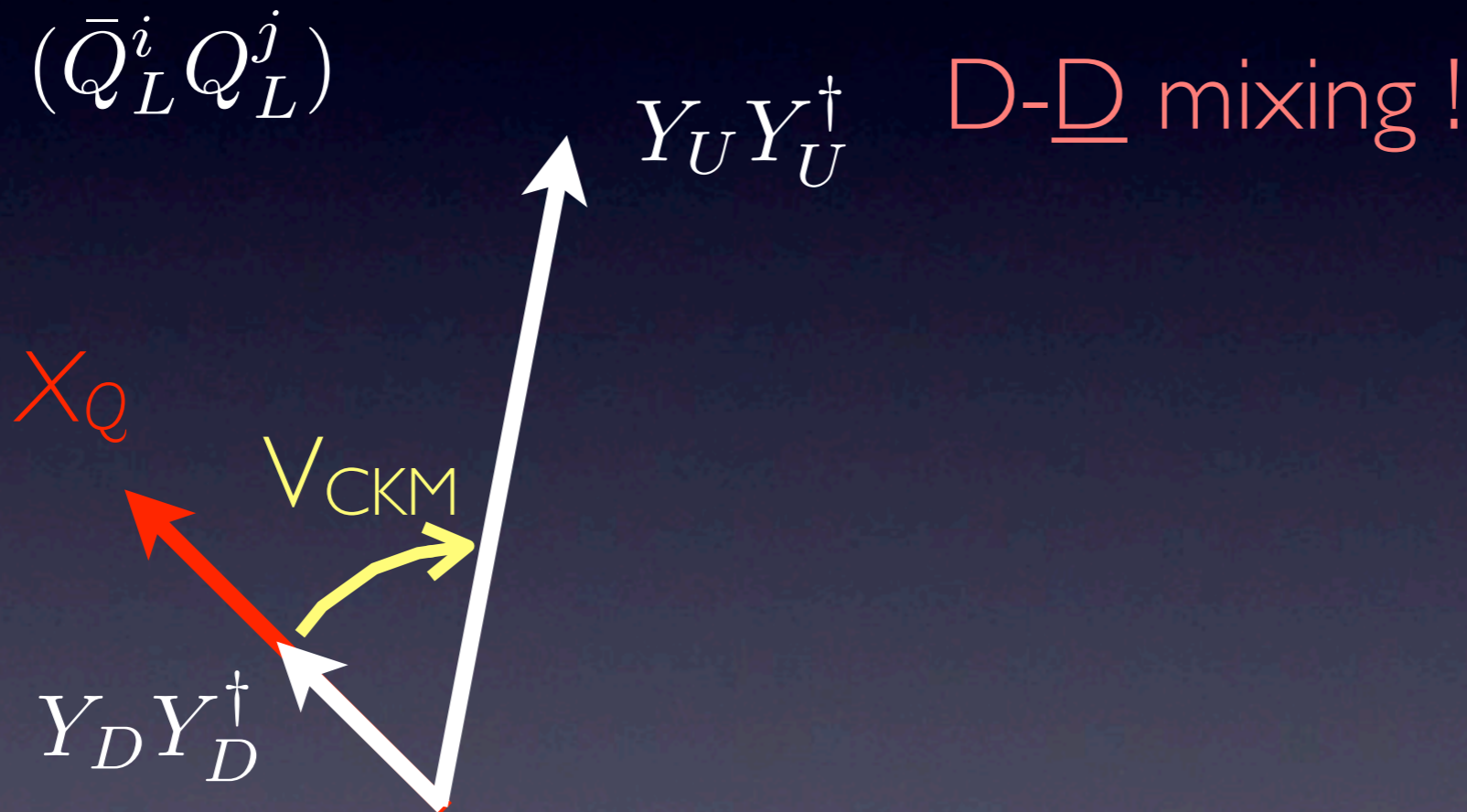
$$x = (m_t/m_b)^{\frac{1}{2}}$$

Here only MFV operators, flavorgenesis scale from first two generations

Combination of K - \underline{K} and D - \underline{D}

Nir 07; Blum et. al '09

Can not simultaneously evade constraints from $\underline{D}\underline{D}$ & $\underline{K}\underline{K}$



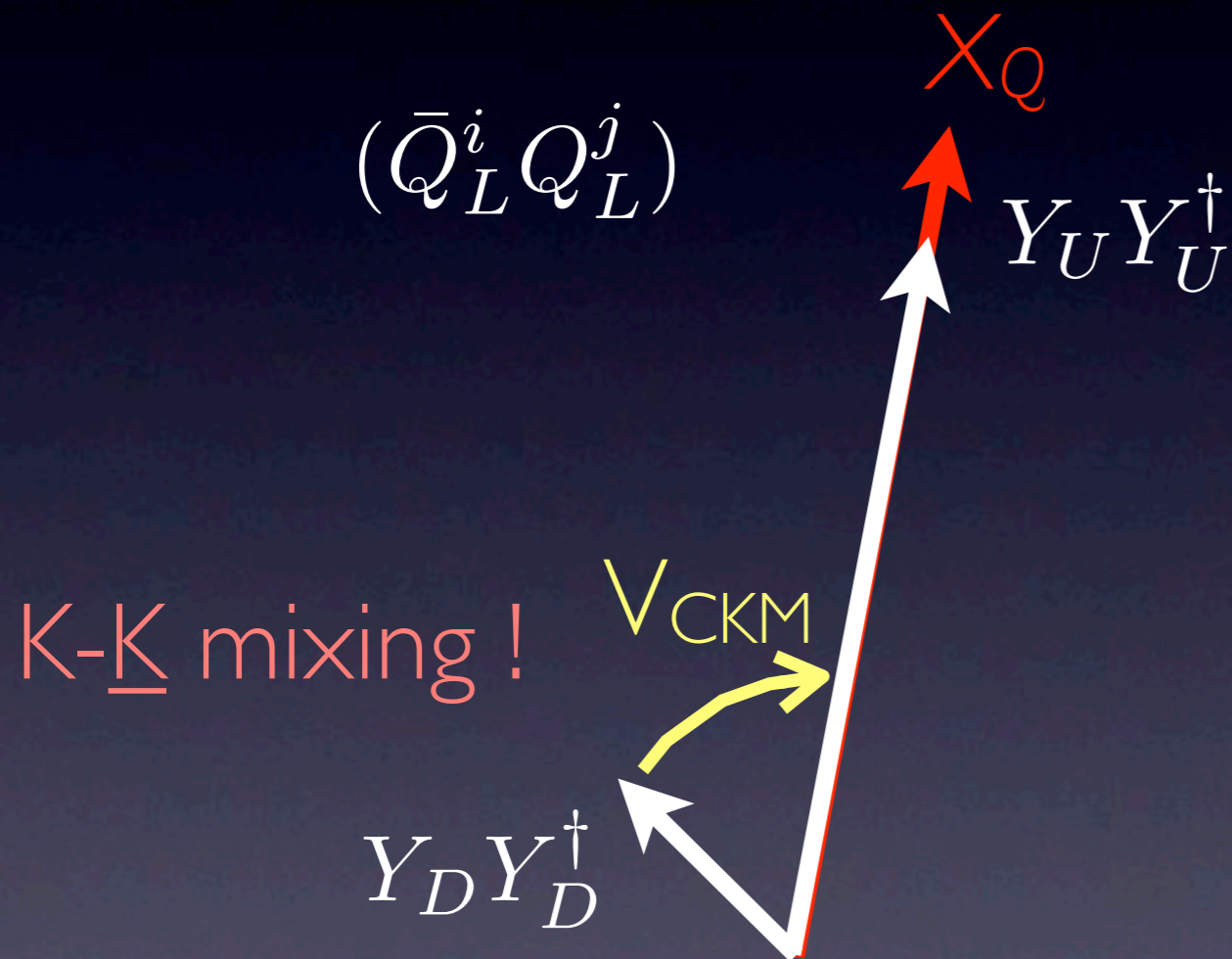
no effect in $\underline{K}\underline{K}$ mixing

$$\frac{1}{\Lambda_{NP}^2} (\bar{Q}_{Li} (X_Q)_{ij} \gamma_\mu Q_{Lj}) (\bar{Q}_{Li} (X_Q)_{ij} \gamma^\mu Q_{Lj})$$

Combination of \underline{K} - \underline{K} and \underline{D} - \underline{D}

Nir 07; Blum et. al '09

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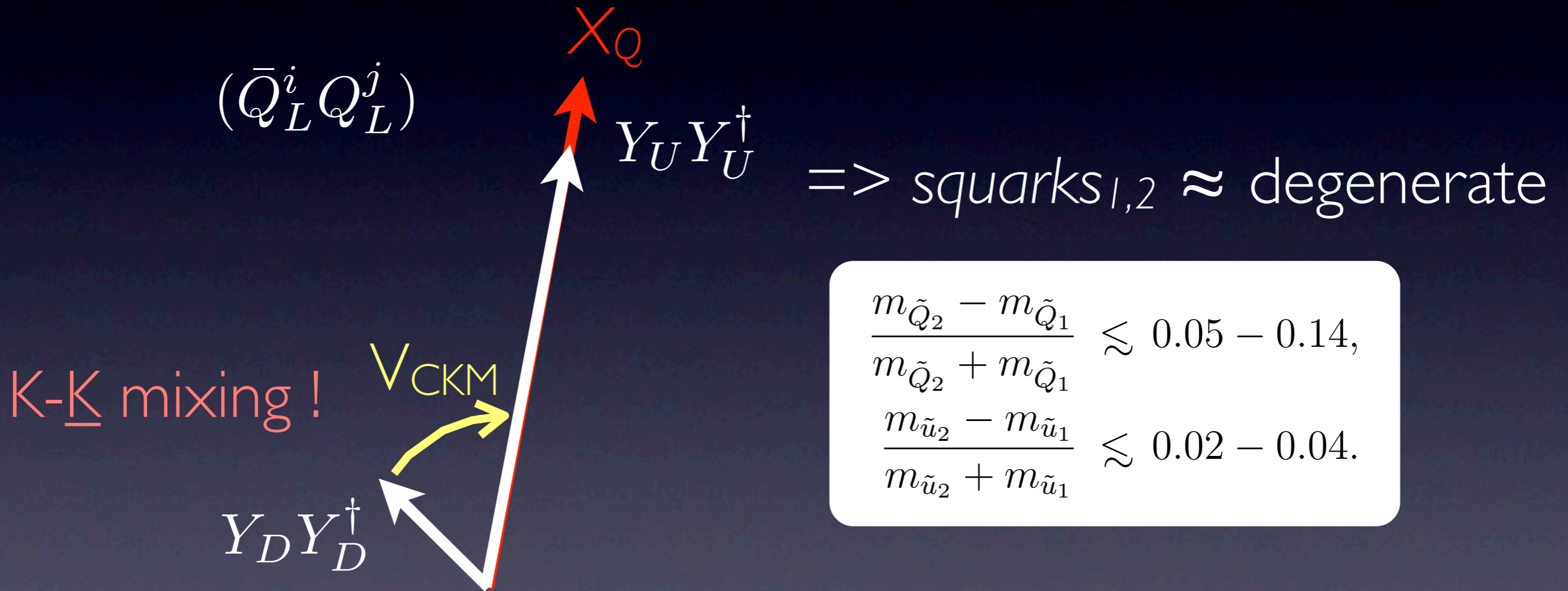
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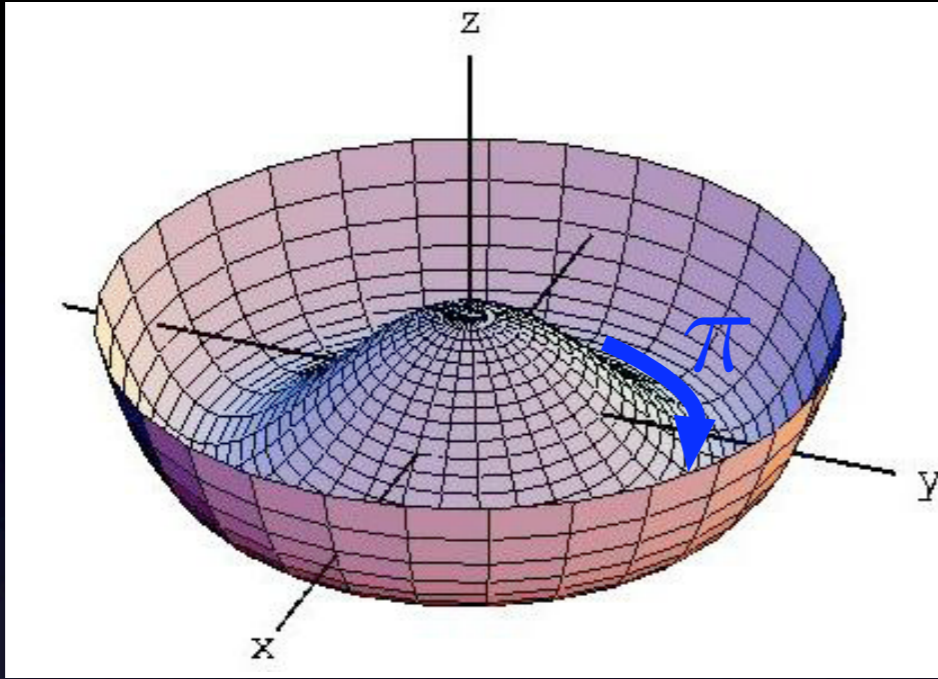
A particular class of models:
partial compositeness
(geometric alignment vs. MFV)

Weak scale is unstable

elementary scalar Higgs

$$\mathcal{L}_{Higgs} = \Lambda^2 H^2 + \dots \quad \times$$

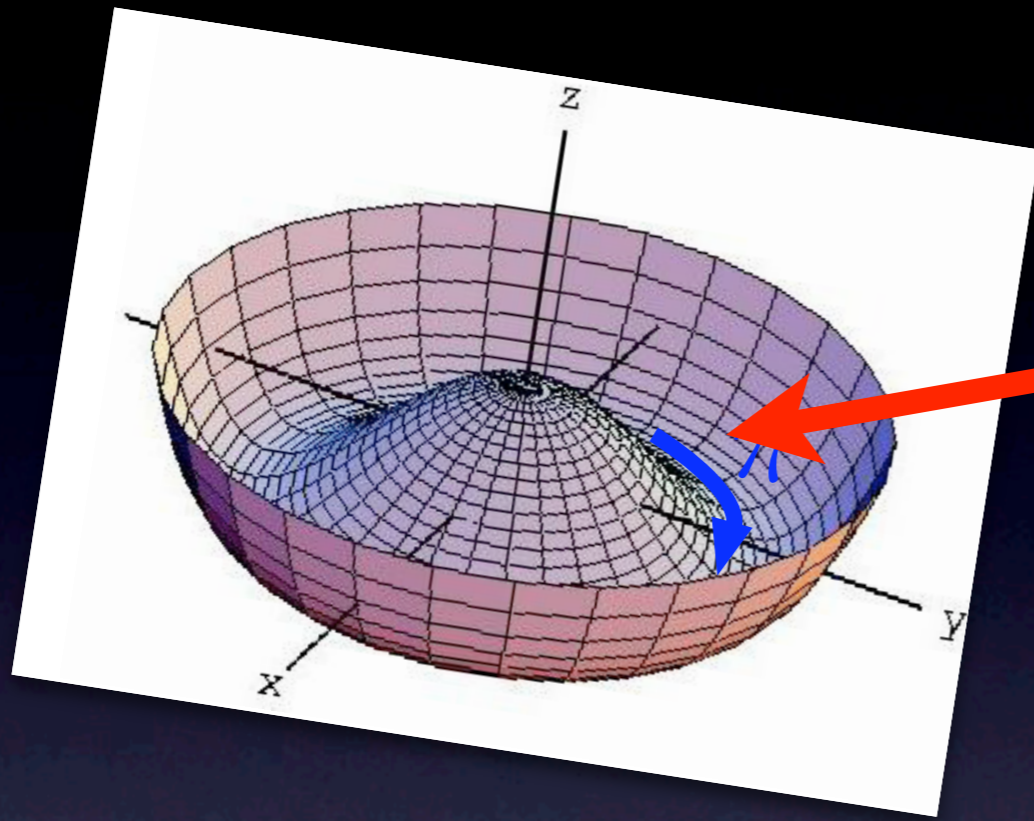
Inspiration by QCD



mass protected by global symmetry

$$\pi \rightarrow \pi + \alpha$$

Inspired by QCD



Potential tilted:
due to quark masses
and gauging of EM

$$GB \rightarrow pGB$$

$$m_{\pi^\pm}^2 \approx \frac{\alpha_{em}}{4\pi} \Lambda_{QCD}^2$$



Fermions get masses by
coupling to this new sector

MFV or not MFV?

Old Flavor problem of composite Higgs

Higgs as bound state, naively $D_{\mathcal{H}=\langle\bar{\psi}\psi\rangle} \approx 3$

$$\frac{1}{\Lambda^{D_{\mathcal{H}}-1}} y_{ij} \bar{\psi}_i \mathcal{H} \psi_j + \frac{1}{\Lambda^2} c_{ijkl} \bar{\psi}_i \psi_j \bar{\psi}_k \psi_l$$

Λ can not be too large, because want top mass

$$\Lambda = \mathcal{O}(\text{TeV})$$

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Λ can not be too large, because want top mass

Λ must be very large because this leads to FCNCs

$K^0 - \bar{K}^0$

$$\Lambda = \mathcal{O}(\text{TeV})$$

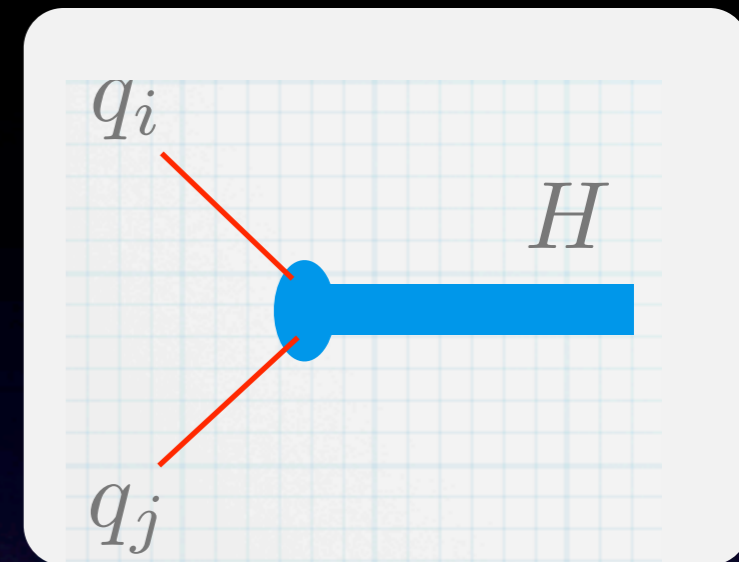
$$\Lambda > 10^5 \text{ TeV}$$



Two ways of giving mass to fermions...

Bi-linear (like SM):

$$\mathcal{L} = y f_L \mathcal{O}_H f_R, \quad \mathcal{O}_H \sim (1, 2)_{\frac{1}{2}}$$



Linear:

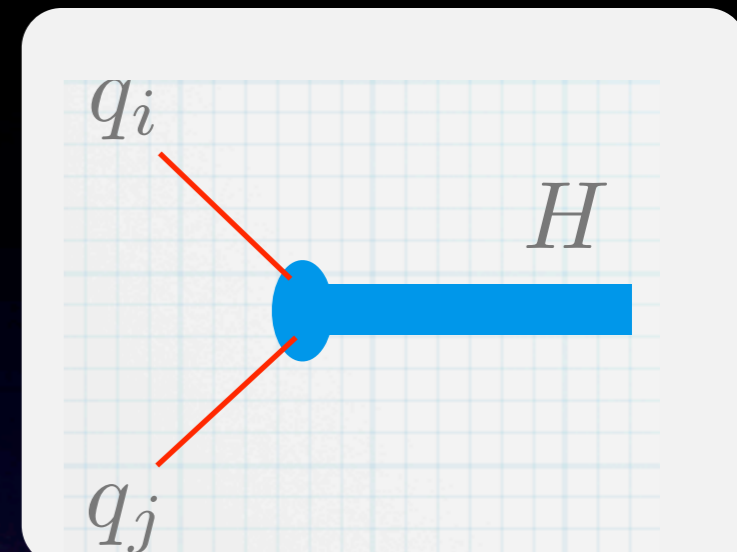
$$\mathcal{L} = y f_L \mathcal{O}_R + y_R f_R \mathcal{O}_L + m \mathcal{O}_L \mathcal{O}_R, \quad \mathcal{O}_R \sim (3, 2)_{\frac{1}{6}}$$

D.B. Kaplan '91

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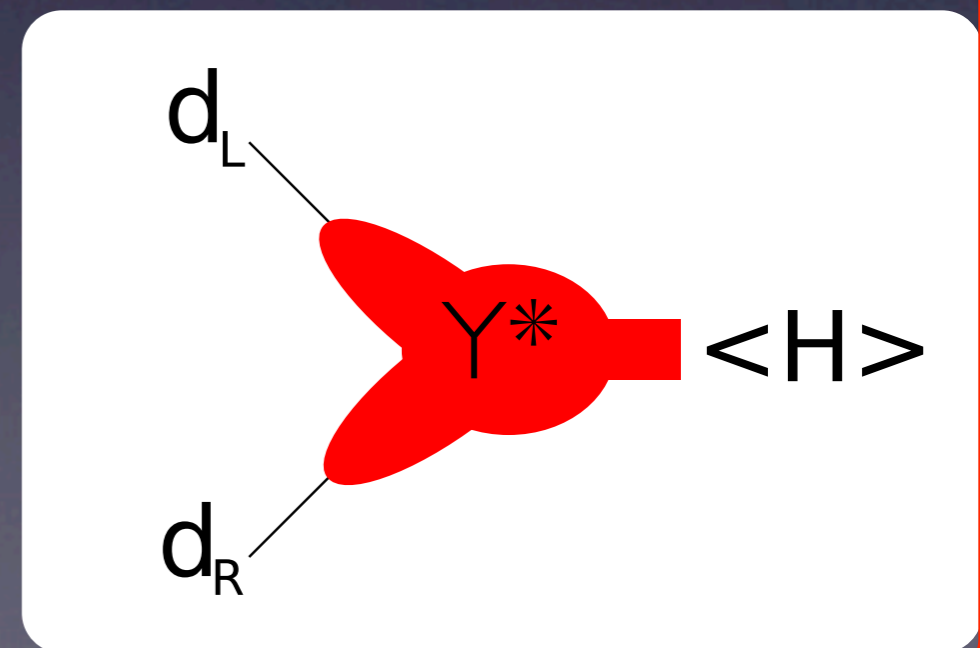
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D.B. Kaplan '91

$$\mathcal{L} = y f_L \mathcal{O}_R + y_R f_R \mathcal{O}_L + m \mathcal{O}_L \mathcal{O}_R, \quad \mathcal{O}_R \sim (3, 2)_{\frac{1}{6}}$$

Quarks & Leptons mix with strong sector

mass \propto compositeness



Partial compositeness

$$|SM\rangle = \cos\phi|elem.\rangle + \sin\phi|comp.\rangle$$

$$|heavy\rangle = -\sin\phi|elem.\rangle + \cos\phi|comp.\rangle$$

Composites are heavy ($m_\rho \approx \text{TeV}$).

Light quarks have very little composite admixture.

mixing \propto mass

strong sector

elementary fields

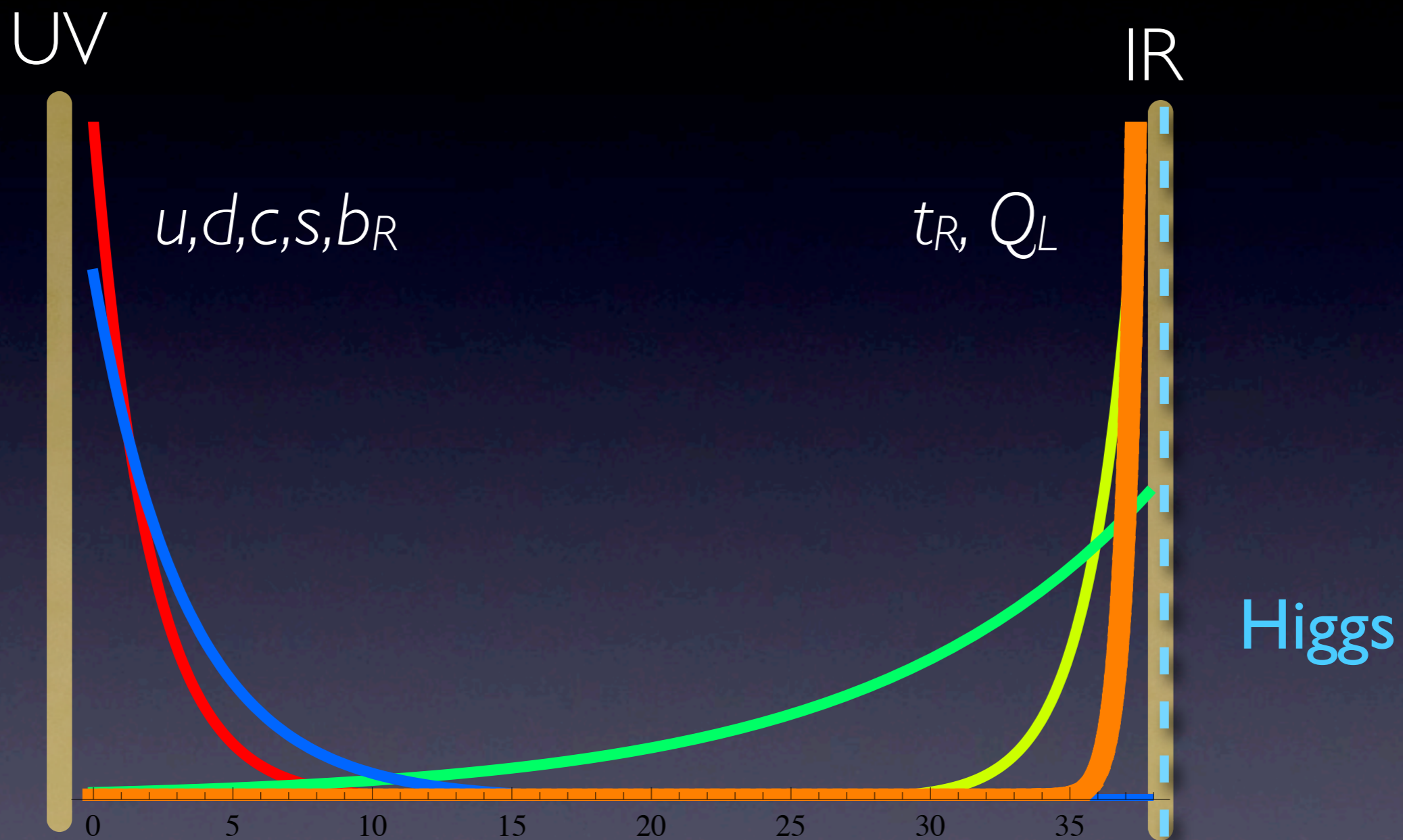


u, d, c, s, b, A_μ

g_*, m_ρ

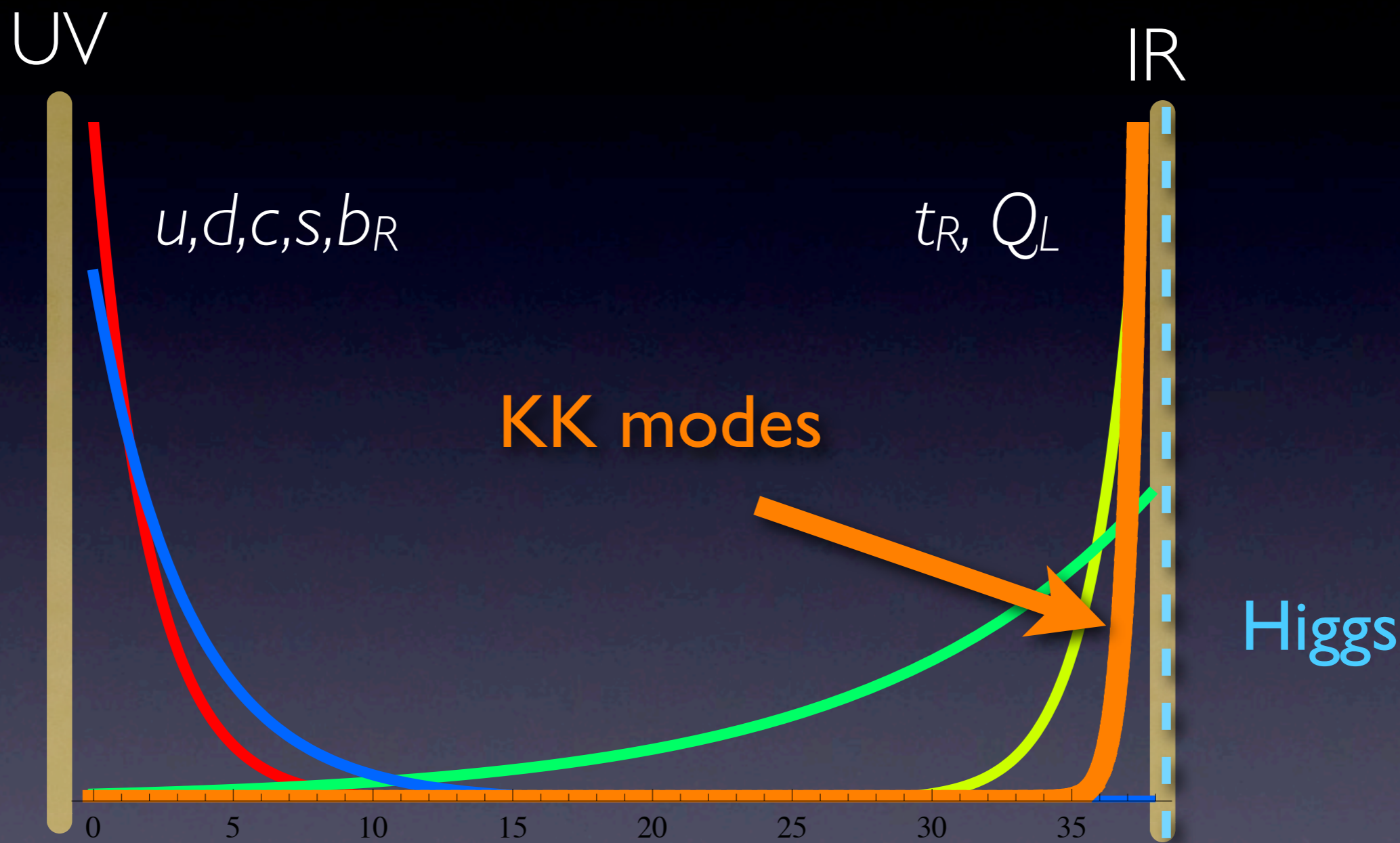
$$1 \lesssim g_* \lesssim 4\pi$$

Kaplan; Contino,
Kramer, Son, Sundrum



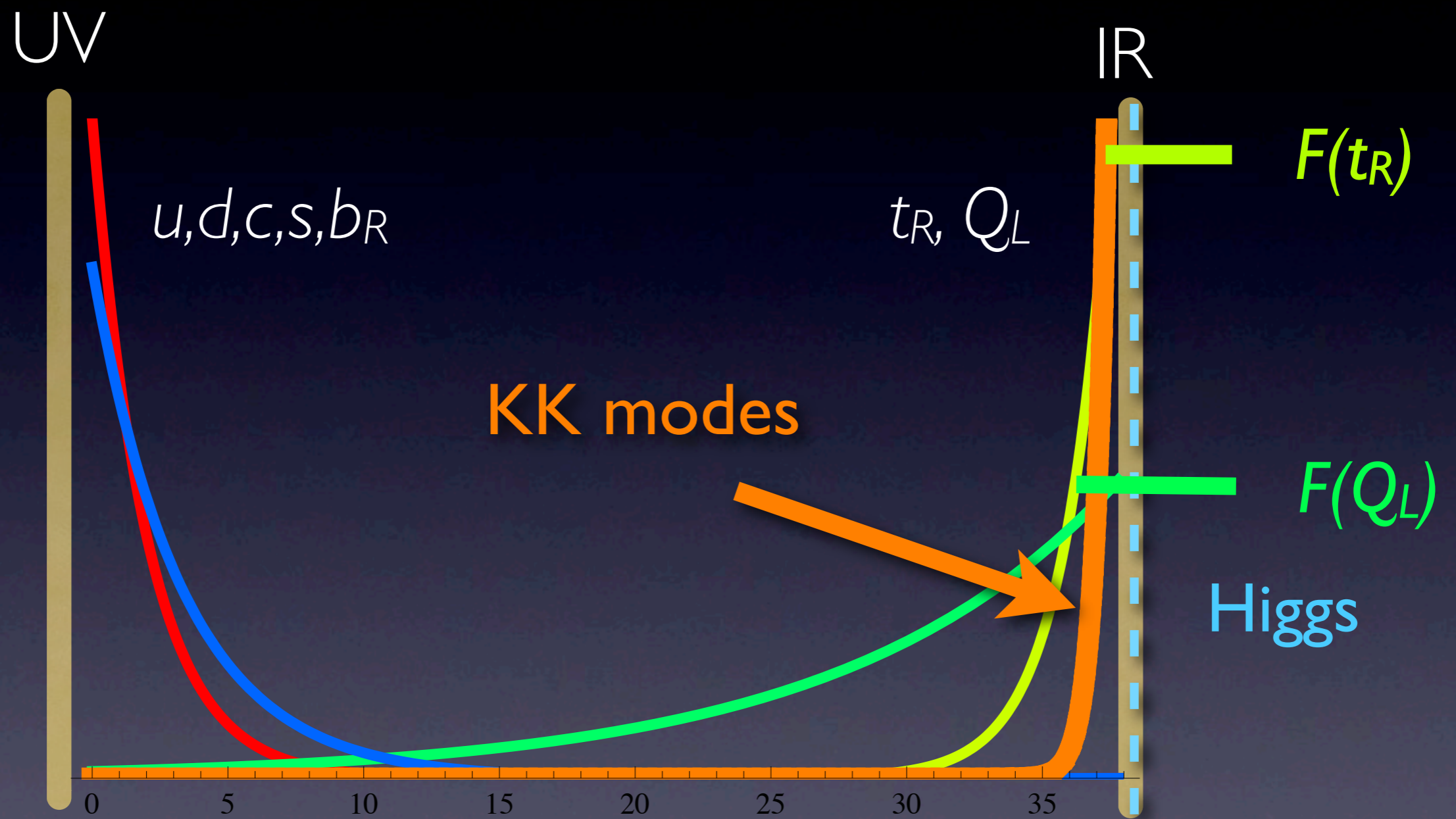
RGE of the mixing UV \rightarrow IR

Contino, Pomarol;
Contino, et al



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Contino, Pomarol;
Contino, et al

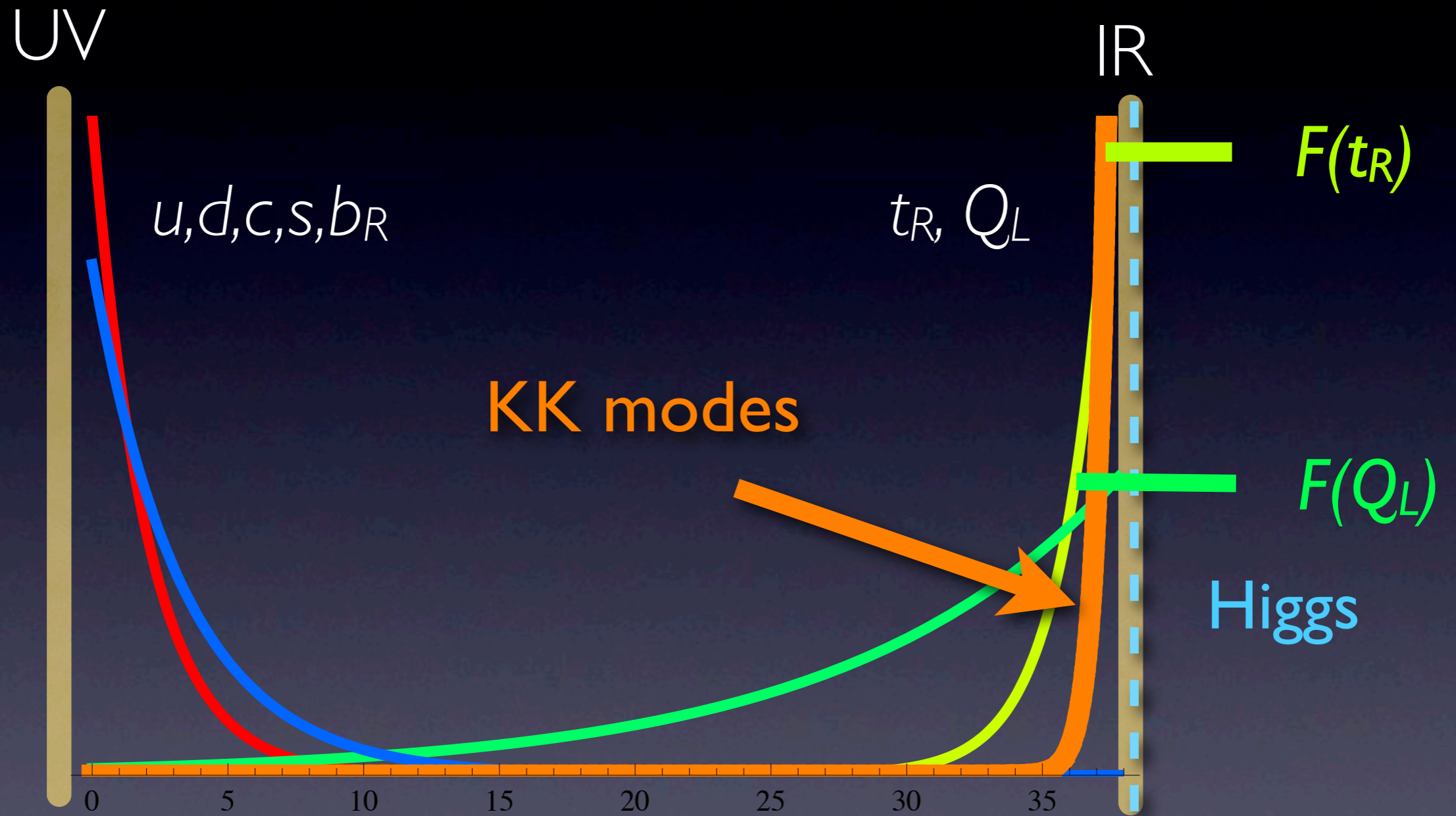


RGE of the mixing UV \longrightarrow IR

Contino, Pomarol;
Contino, et al

Degree of compositeness:

$$\sin \phi = F(c) \sim \left(\frac{\text{TeV}}{M_{\text{pl}}} \right)^{c - \frac{1}{2}}$$

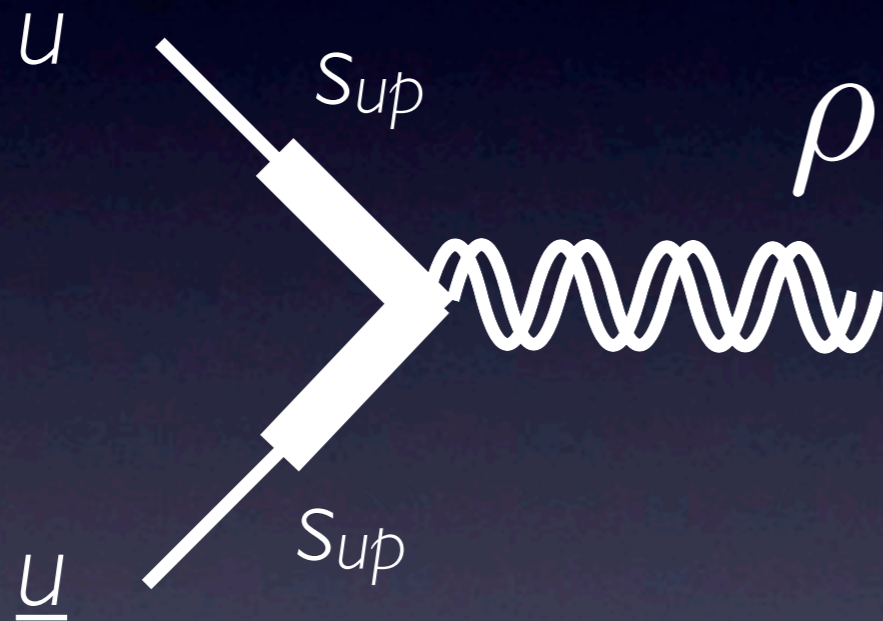


RGE of the mixing UV → IR

Contino, Pomarol;
Contino, et al

high p_T

Resonance production (option 1)

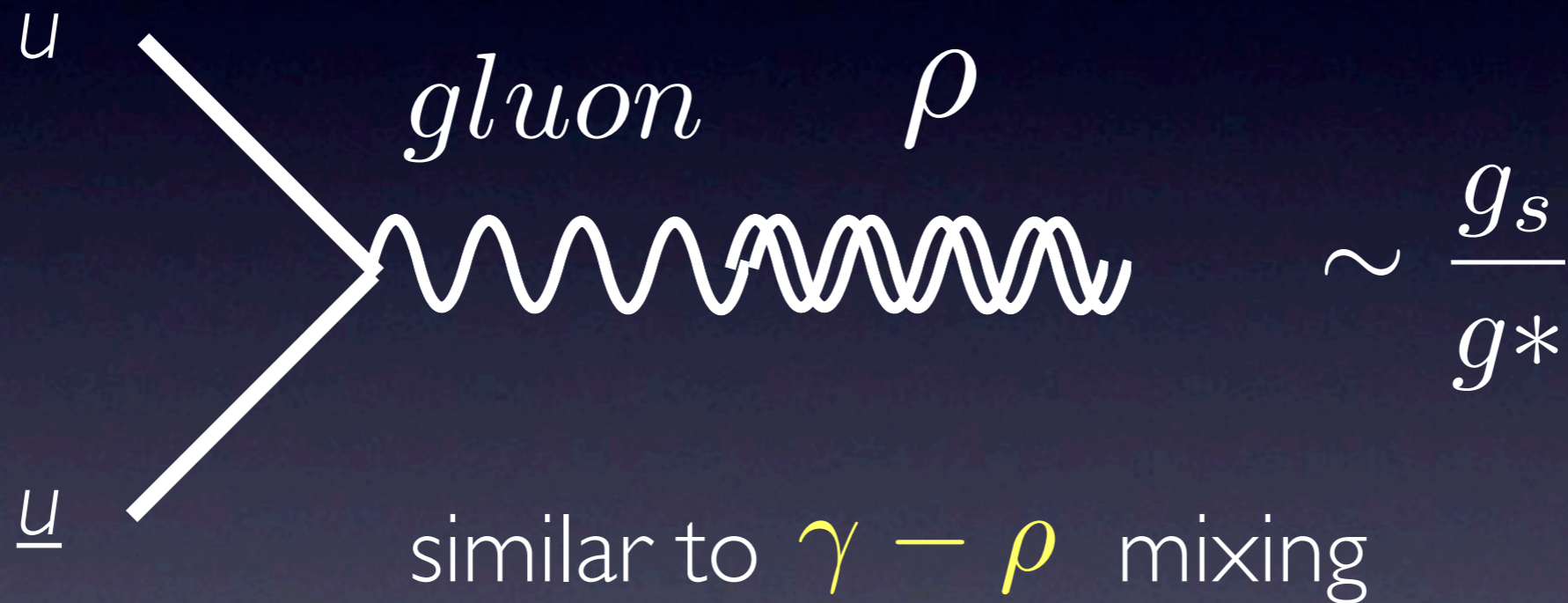


$$\sim g_*^2 \sin^2 \theta_{u_R}$$

strongly suppressed for
light quarks!

high p_T

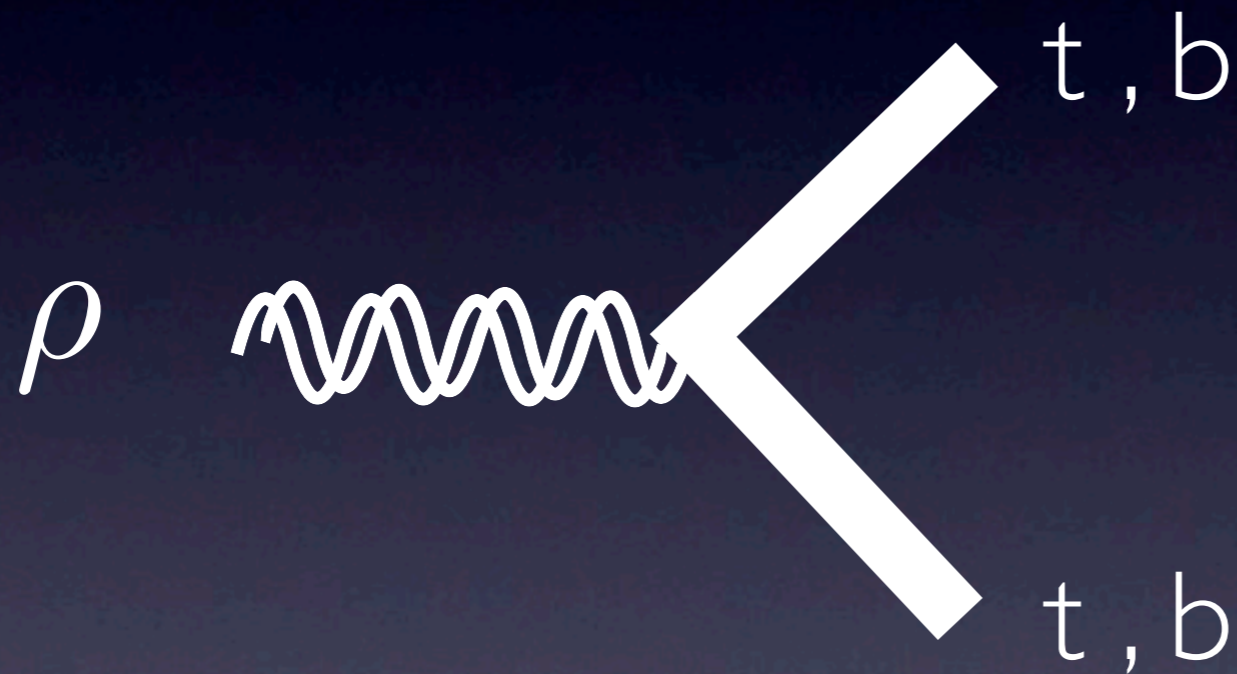
Resonance production (option 2)



NB, gluon-rho-rho = 0

high p_T

Resonance decay



decays dominantly
into 3rd generation!
(tt, bt, bb)

Top FCNCs

SM

$$Br(t \rightarrow q(Z, \gamma, G)) \sim 10^{-12}$$

**partial compositeness/
warped flavor**

$$Br(t \rightarrow c_R Z) \propto |U_R|_{23} \times \delta g_Z \sim 10^{-5}$$

LHC (100 1/fb)

$$Br(t \rightarrow (Z, \gamma)) \geq 10^{-5}$$

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SM

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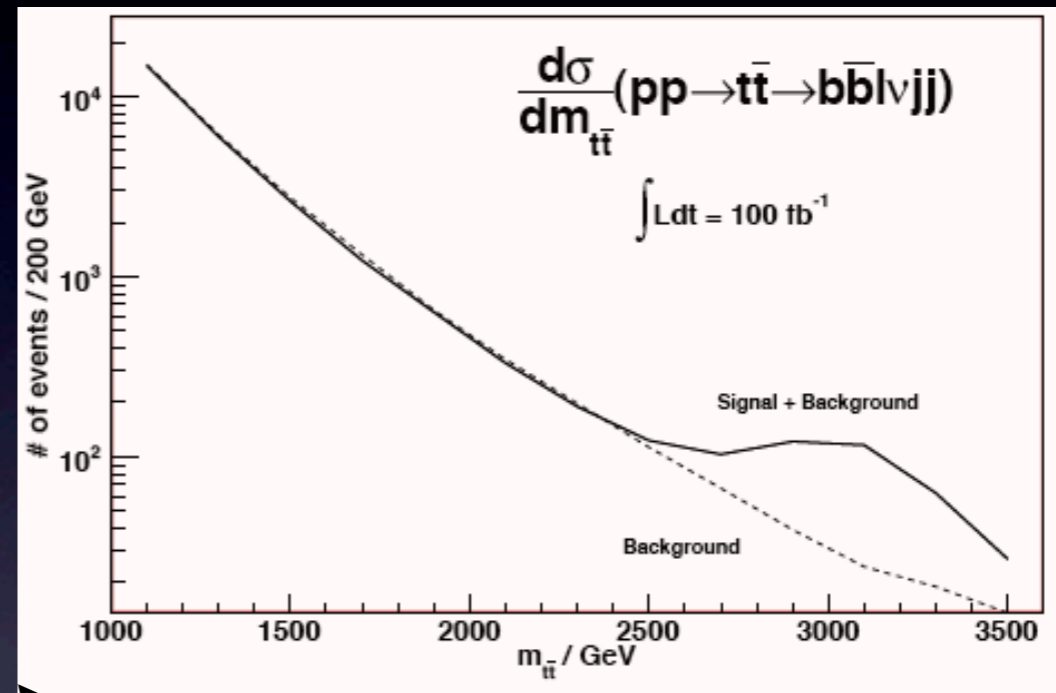
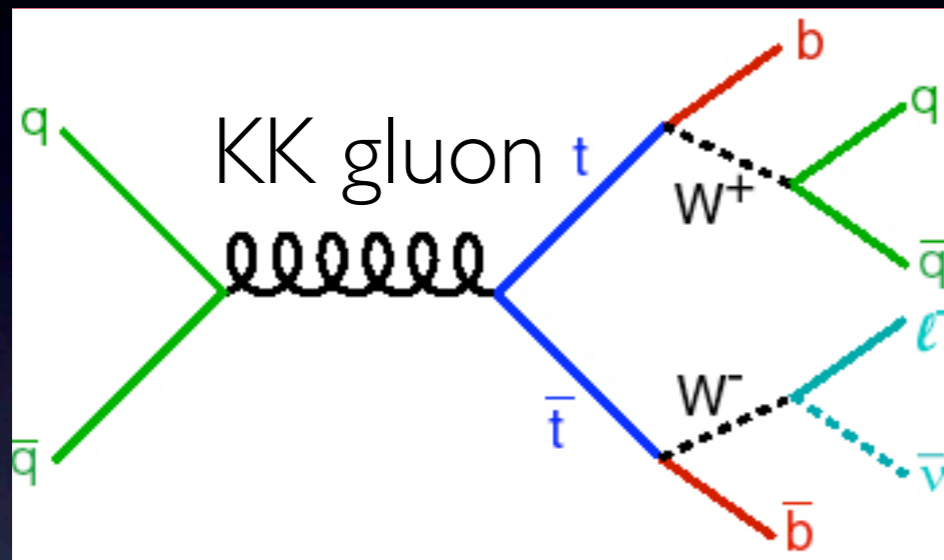
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LHC (100 1/fb)

$$Br(t \rightarrow (Z, \gamma)) \geq 10^{-5}$$

Resonances decay to Tops

Agashe et al, Lillie et al



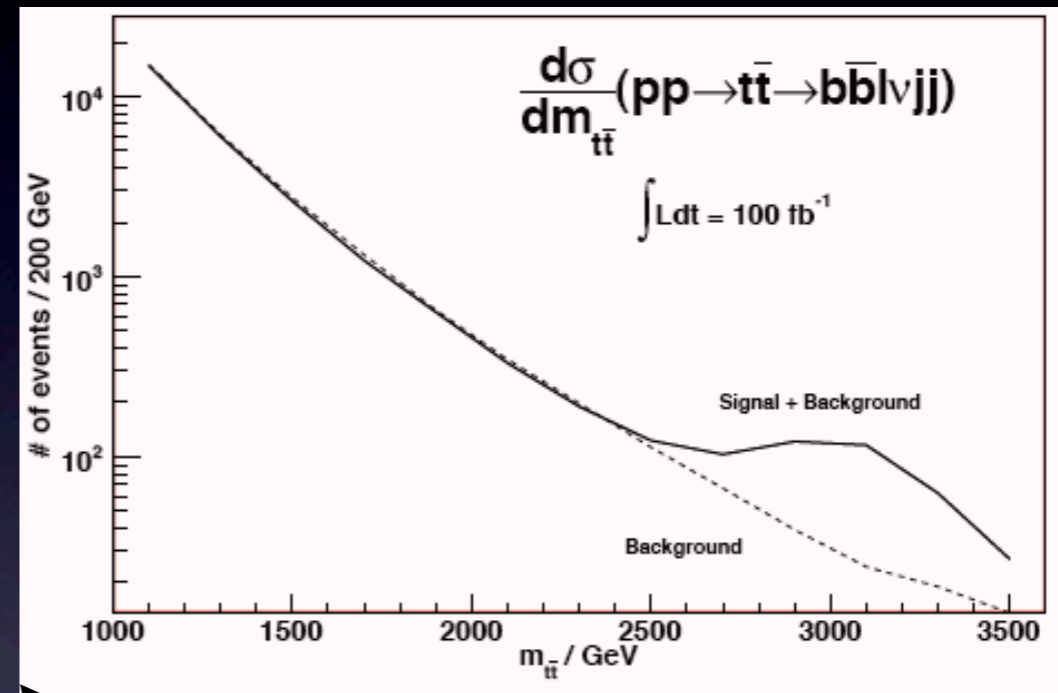
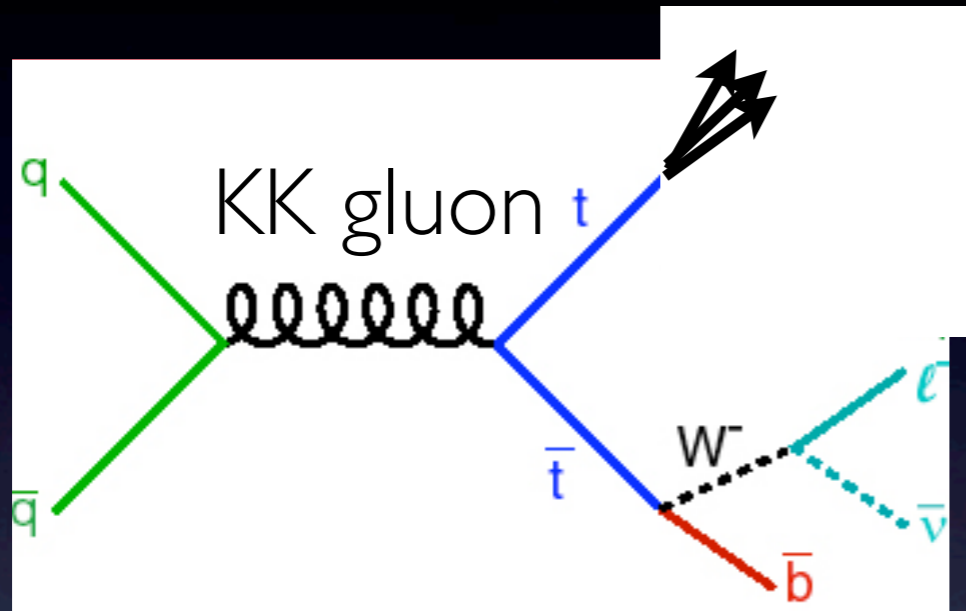
Collimation poses
challenge

($m_{KK} \sim 3 \text{ TeV}$ vs. m_{top})

high p_T - flavor interplay!

Resonances decay to Tops

Agashe et al, Lillie et al



Collimation poses
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($m_{KK} \sim 3 \text{ TeV}$ vs. m_{top})

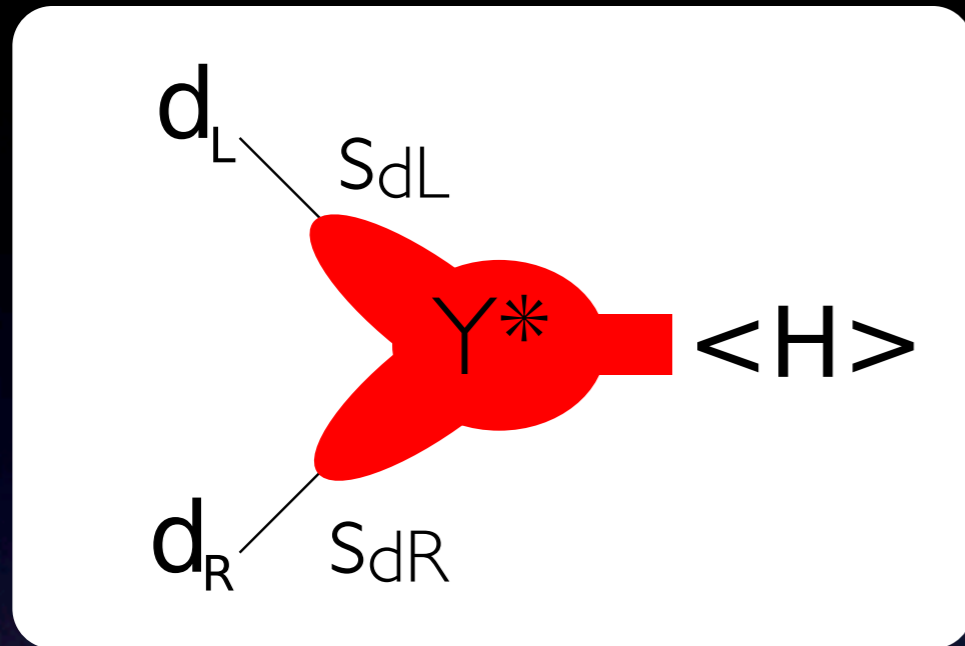
high p_T - flavor interplay!

FCNCs

FCNC protection

Gherghetta, Pomarol; Huber; Agashe, Perez, Soni;

masses from mixing in composites



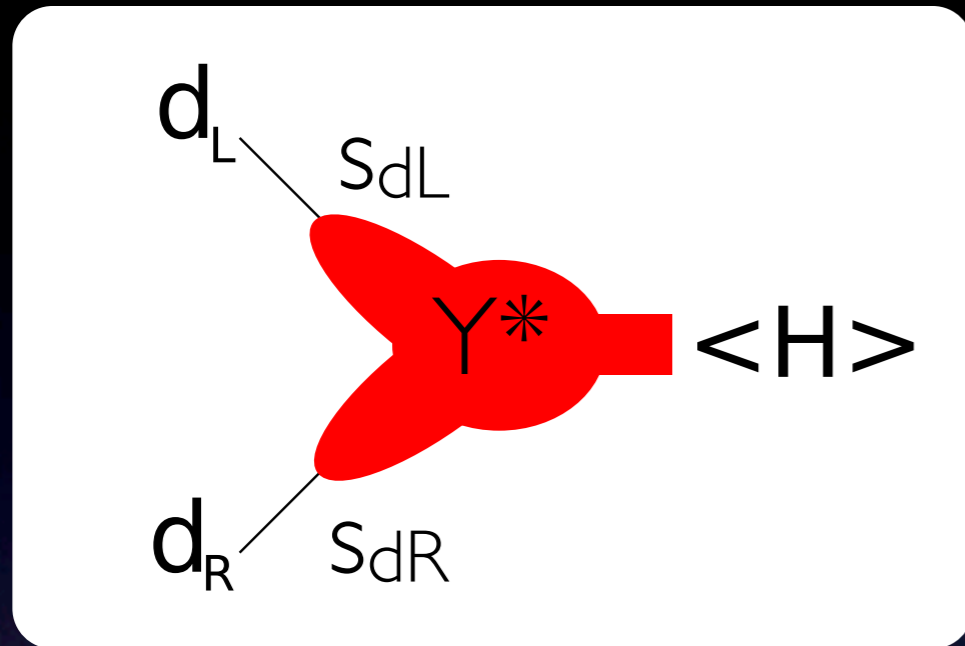
$$m_d \sim v \sin \theta_{d_L} Y^* \sin \theta_{d_R}$$

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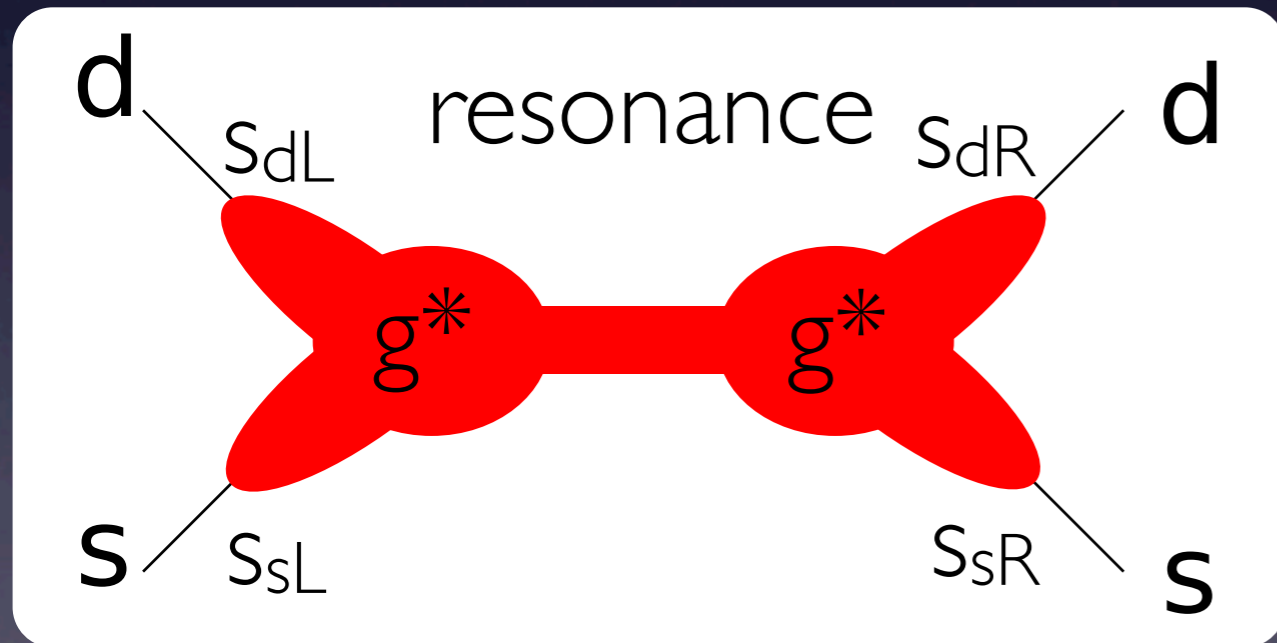
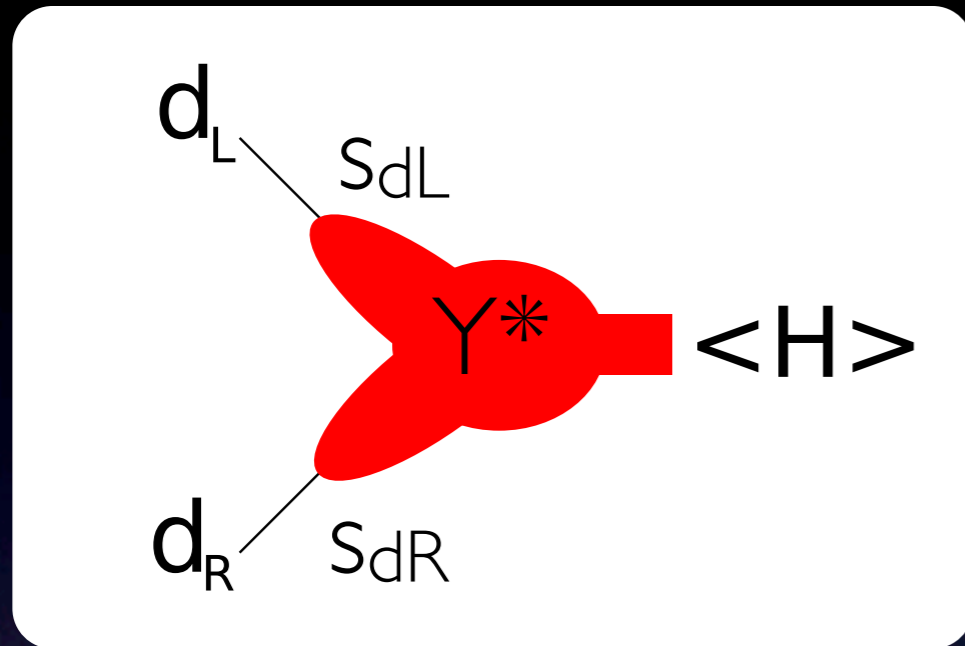
RS-GIM

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$$m_d \sim v \sin \theta_{d_L} Y^* \sin \theta_{d_R}$$



$$K^0 - \bar{K}^0$$

FCNCs suppressed by the same mixings

$$\sim \frac{g_*^2}{M_\rho^2} S_{d_L} S_{d_R} S_{s_L} S_{s_R}$$

$$\sim \frac{g_*^2}{M_\rho^2} \frac{m_d m_s}{v Y_*^2}$$

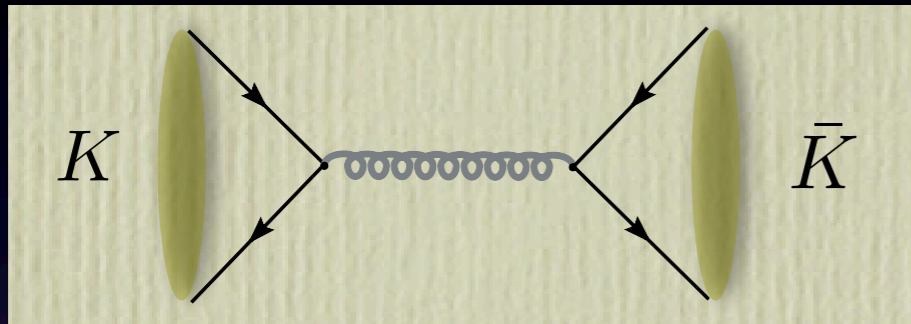
RS-GIM

Little CP problem

Csaki, Falkowski, AW; Buras et al; Casagrande et al

$\Delta F = 2$ (strongest from ϵ_K)

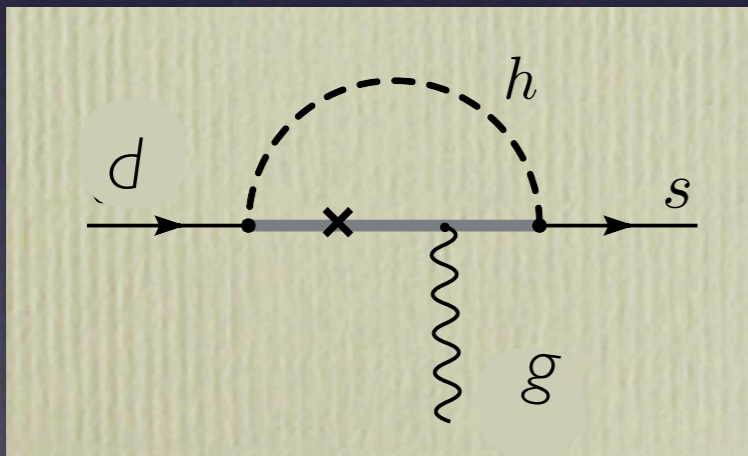
$$g_* \approx Y_* \approx 3 \dots 6$$



$$M_* \gtrsim 10 \left(\frac{g_*}{Y_*} \right) \text{TeV}$$

$\Delta F = 1$ (strongest constraint from ϵ'/ϵ)

Gedalia et. al



$$M_* \gtrsim 1.3 Y_* \text{TeV}$$

$\Delta F = 0$ neutron EDM

$$M_* \geq 2.5 Y_* \text{TeV}$$

Agashe et. al, Delaunay et. al, Redi, AW



generate $Y_{U,D}$ at high scale

new physics dynamics can depend non-trivially on $Y_{U,D}$

Flavor triviality: dynamical MFV

Cacciapaglia, Csaki, Galloway, Marandella, Terning, A.W.

strong sector $SU(3)_Q \times SU(3)_u \times SU(3)_d$



Delaunay et al

sweet spot if Y 's “shine” into the bulk, $m_\rho \approx 2 \text{ TeV}$

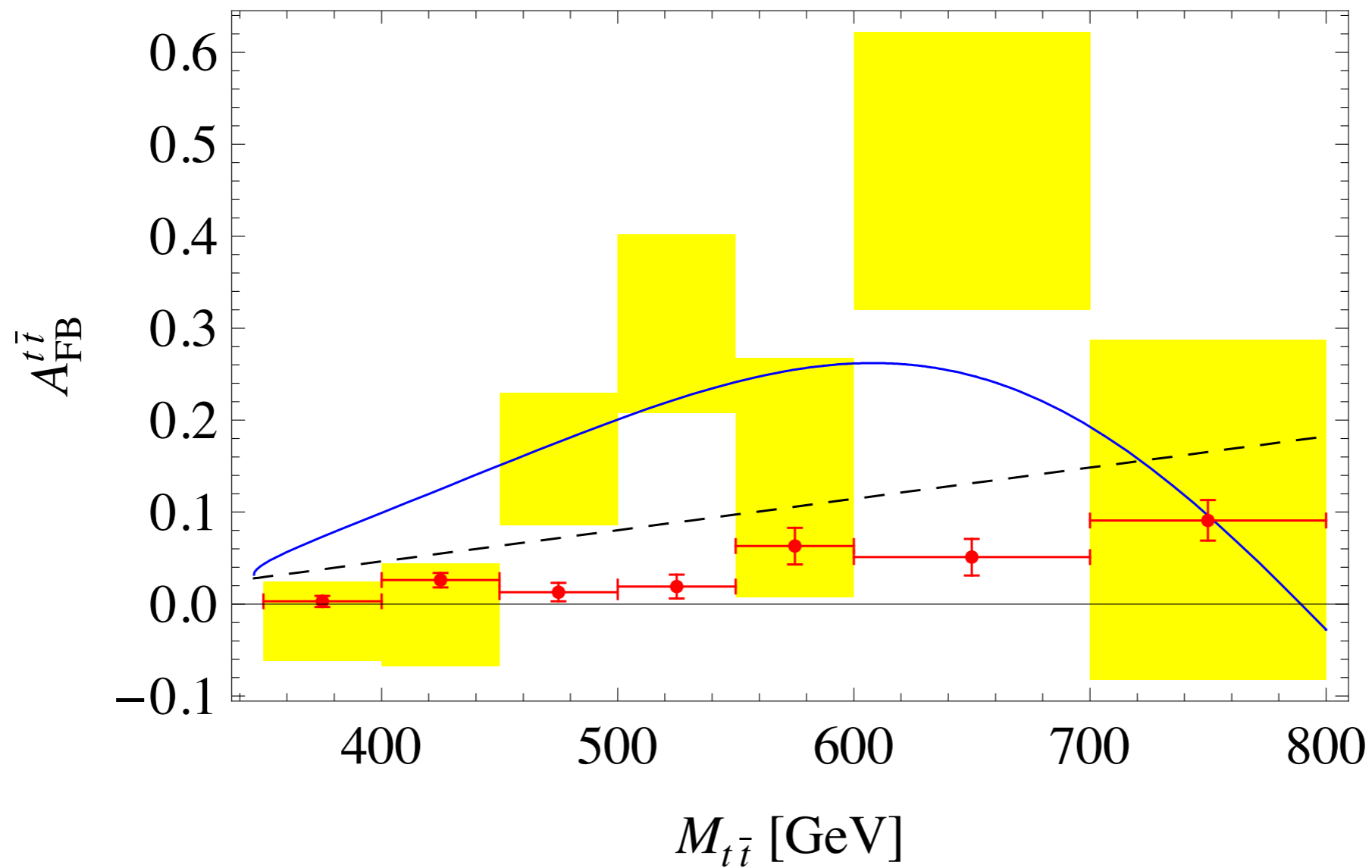
\Rightarrow flavor gauge bosons predicted (in 2 slides)

mixing can be large & universal

MFV-RS allows for sizable $A_{FB}^{t\bar{t}}$

(Small asymmetry in anarchic warped flavor [Bauer et al](#))

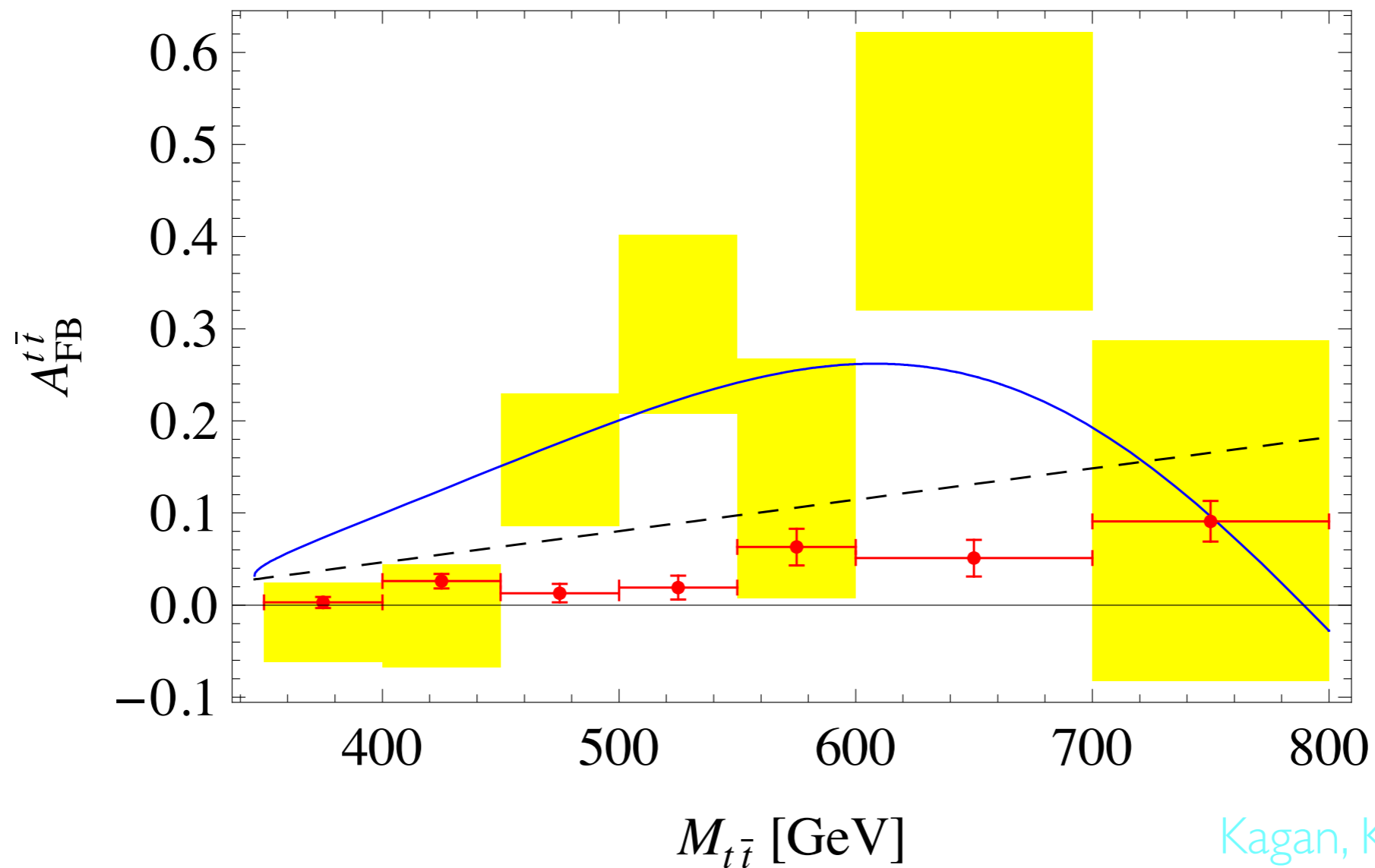
plot from Blum et al



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plot from Blum et al



Kagan, Kamenik, Perez, Stone

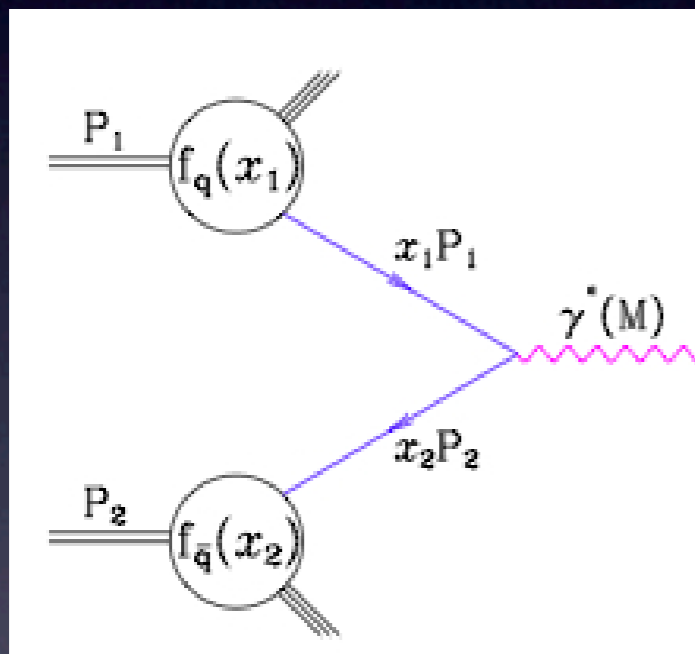
measurement at LHCb?

Flavor gauge bosons at LHC

Csaki, Kagan, Lee, Perez, AW

$$g_{\text{eff}} G_{\mu}^{(1)KK} \bar{\psi} \psi$$

Flavor gauge bosons do not have massless modes (flavor is broken)



no $\gamma - \rho$ mixing!

But quark composite mixing can be flavor universal & large

$$\sim g_*^2 \sin^2 \theta_{u_R}$$

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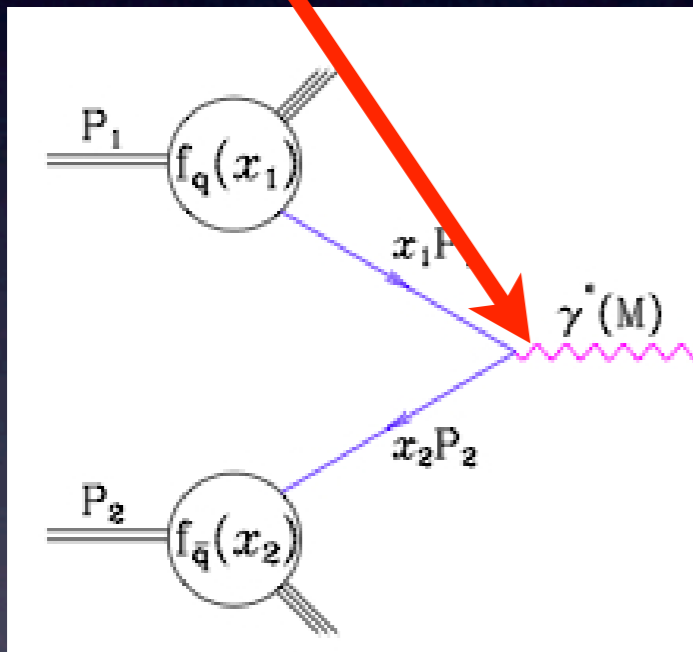
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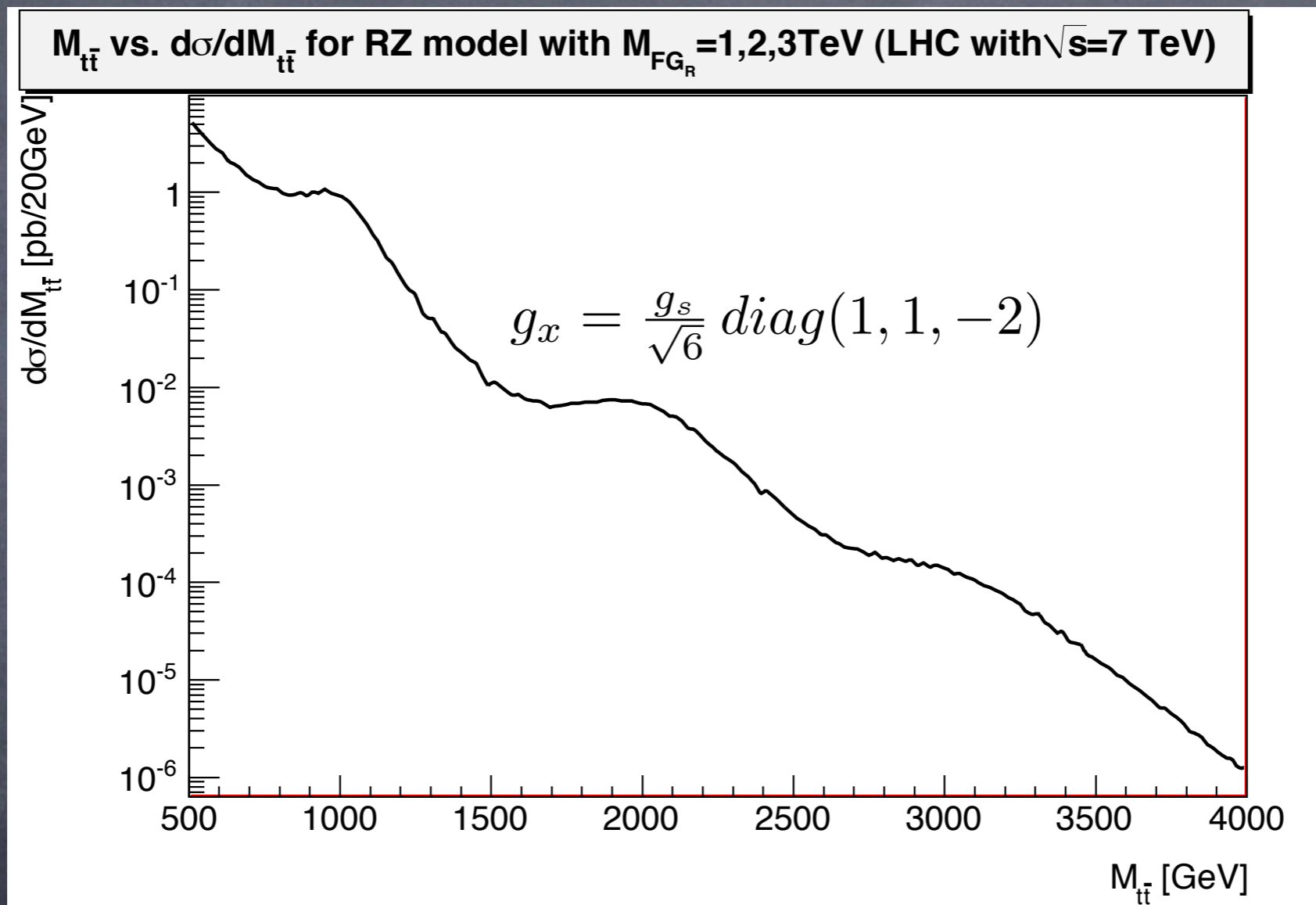
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FGBs at the LHC (preliminary)

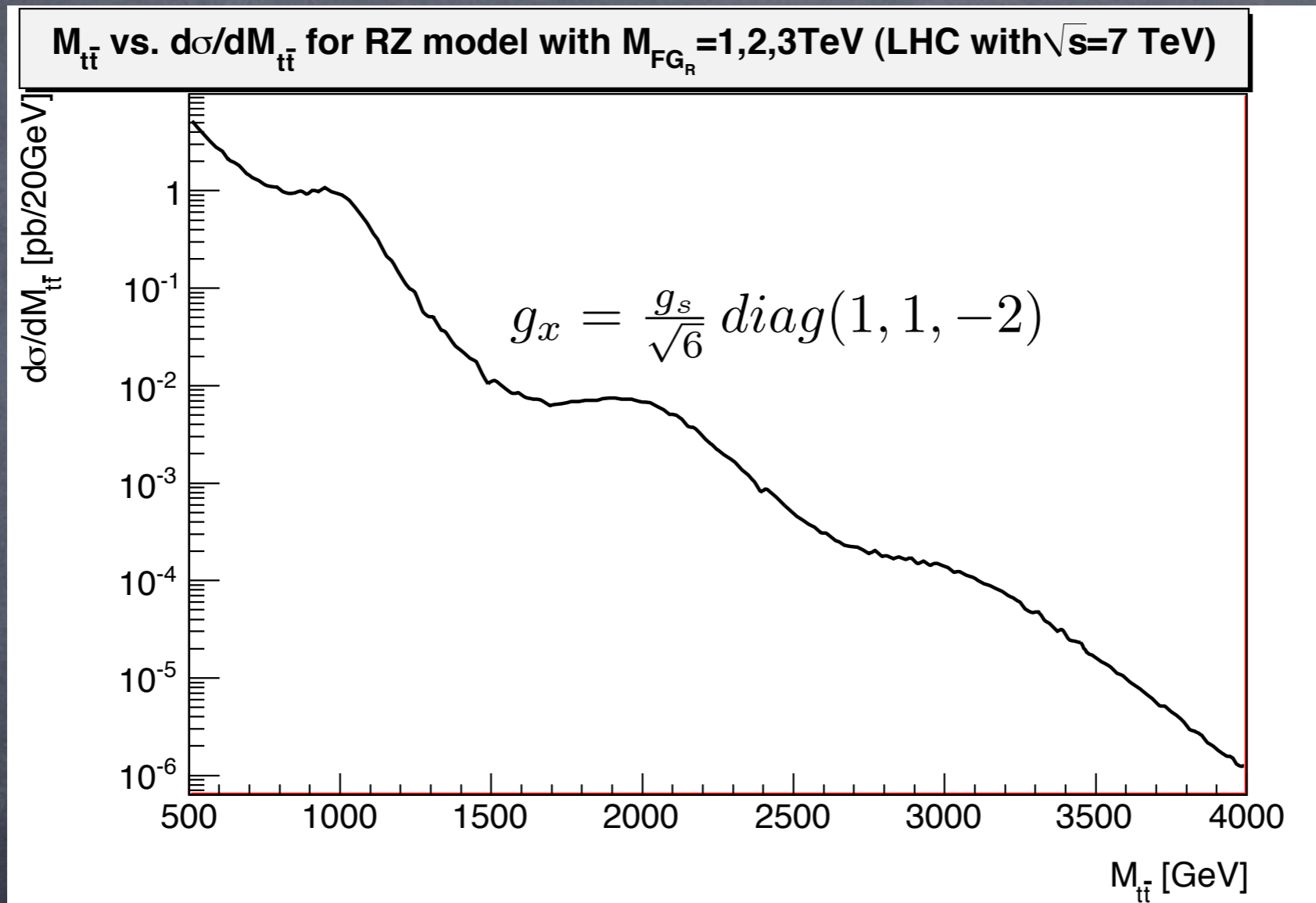
- The flavor gauge bosons & scalars might be observable.



$$\mathcal{L} = \frac{\lambda}{2} V_\mu^8 \left(\frac{1}{\sqrt{3}} \bar{u}_R \gamma^\mu u_R + \frac{1}{\sqrt{3}} \bar{c}_R \gamma^\mu c_R - \frac{2}{\sqrt{3}} \bar{t}_R \gamma^\mu t_R \right) \\ + \frac{\lambda}{2} \left((V_\mu^4 - iV_\mu^5) \bar{u}_R \gamma^\mu t_R + (V_\mu^6 - iV_\mu^7) \bar{c}_R \gamma^\mu t_R + h.c. \right)$$

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Flavor Gauge Boson @ Tevatron?

$$\mathcal{L} = g_{eff} \bar{u}_R V_\mu^A \frac{T^A}{2} \gamma_\mu u_R + h.c.$$

- Can partially explain A_{FB} with the usual constraints:

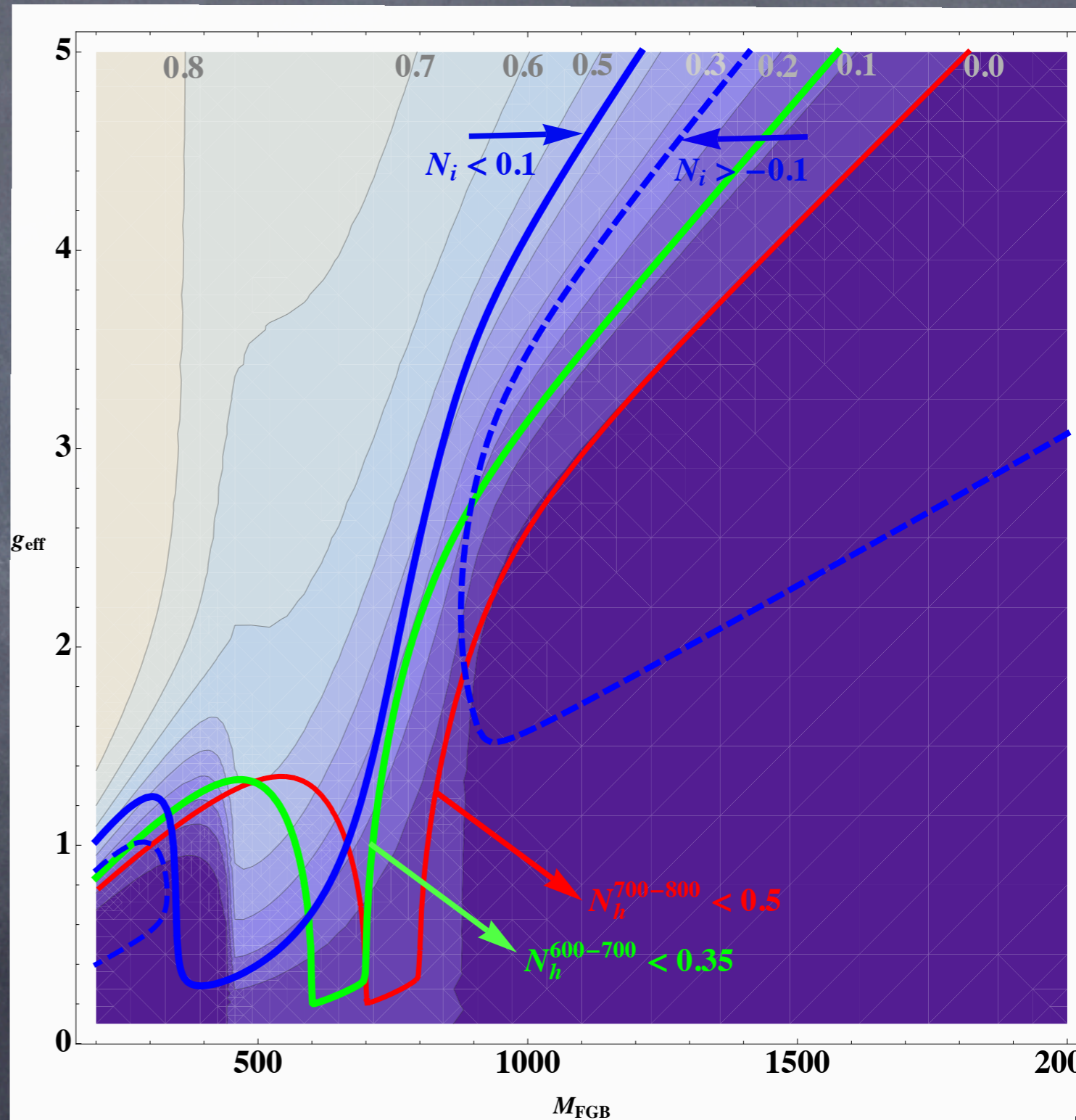
i) $\delta\sigma_{700-800\text{ GeV}}^{\text{NP}} / \sigma_{700-800\text{ GeV}}^{\text{SM}} \lesssim 47\%$

ii) $\delta\sigma_{t\bar{t}}^{\text{NP}} / \sigma_{t\bar{t}}^{\text{SM}} \lesssim 10\%$

- $M_{\text{FGB}} < 900\text{ GeV}$, $g_{\text{eff}} \sim O(1)$

$$A_{FB}^{t\bar{t}}(M_{inv} > 450\text{ GeV}) \lesssim 10\%$$

- $\sigma_{\text{NP}} / \sigma_{\text{SM}}(p_T > 400\text{ GeV})$: 2-3



Conclusions

Most well-motivated models of NP at the TeV predict experimentally resolvable deviations from the SM

Discovery of non-MFV new physics might give insight in origin of Yukawas

high p_T can also offer window into flavor
(see explanations of the top FB anomaly)