

Low energy physics of a F-GUT model

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References

Based on work with : arXiv:1008.2254
and
work with T.Jelinski, K.Turzynski (to be published)

Beasley, Heckmann, Vafa: several papers in 2008/9,
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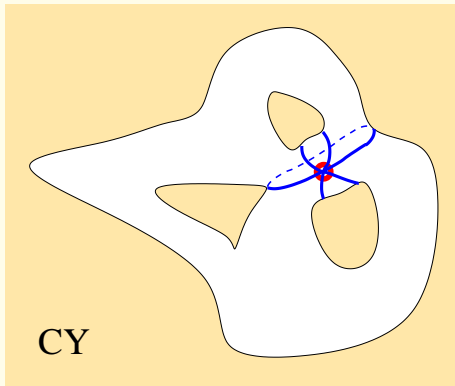
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..... **H.P. Nilles**

Plan

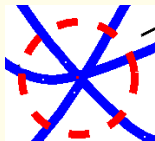
- ▶ **Local F-GUTs**
- ▶ **Physics of the \mathbb{Z}_3 model**
 - ▶ **The model**
 - ▶ **constraints from B/L-violation**
 - ▶ **low energy phenomenology: soft masses**

local F models

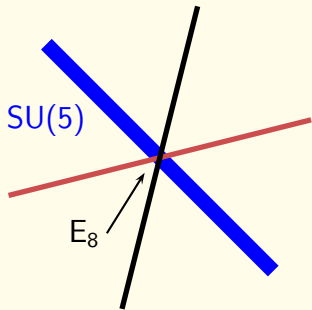
[Heckman-Vafa]



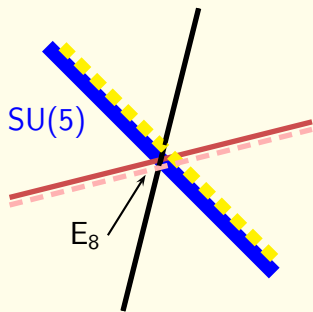
- (1) we decouple gravity
- (2) focus on open string degrees of freedom

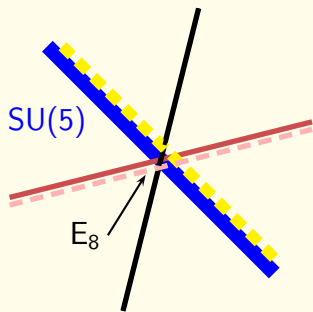


- (3) D7 wrapped on cycles



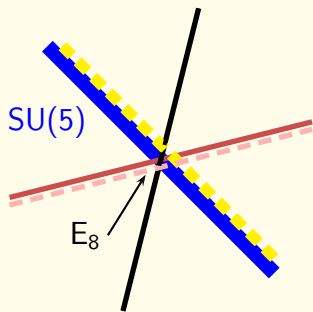
fluxes on branes:





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- (1) break $SU(5) \rightarrow SM$
- (2) chiral 3 families



fluxes on branes:

- (1) break $SU(5) \rightarrow SM$
- (2) chiral 3 families
- (3) removes $3 \in 5_H$

$$E_8 \rightarrow SU(5) \times SU(5)_\perp$$

$$\text{Adj}(E_8) = 248 \rightarrow$$

$$(24, 1) + (5, \overline{10}) + (\overline{5}, 10) + (10, 5) + (1, 24) + (\overline{10}, \overline{5})$$

$E_8 \rightarrow SU(5) \times SU(5)_\perp$

$$\text{Adj}(E_8) = 248 \rightarrow$$

$(24, 1)$	$+(5, \overline{10})$	$+(\overline{5}, 10)$	$+(10, 5)$	$+(1, 24)$	$+(\overline{10}, \overline{5})$
<i>gauge</i>	5_H	$\overline{5}_M, \overline{5}_H$	10_M	<i>DM</i>	$Y_{\overline{10}}$
	Y_5	$Y_{\overline{5}}$	Y_{10}	$X \rightarrow \text{SUSY-B, ...}$
				$N_R, \text{R-neutrino}$	

E8 \rightarrow SU(5) \times SU(5) $_{\perp}$

$$\text{Adj}(\text{E8}) = 248 \rightarrow$$

(24, 1)	+(5, $\overline{10}$)	+($\overline{5}$, 10)	+(10, 5)	+(1, 24)	+($\overline{10}$, $\overline{5}$)
<i>gauge</i>	5_H	$\overline{5}_M, \overline{5}_H$	10_M	<i>DM</i>	$Y_{\overline{10}}$
	Y_5	$Y_{\overline{5}}$	Y_{10}	$X \rightarrow$ SUSY-B,
				$N_R, R\text{-neutrino}$	

Yukawas: one needs to identify weights of SU(5) $_{\perp}$

$$SU(5) \times \frac{SU(5)_{\perp}}{\Gamma} \longrightarrow SU(5) \times U(1)^n_{\text{anomalous} \rightarrow \text{global}}$$

$$\Gamma = \mathbb{Z}_2, \mathbb{Z}_3, S_3, \mathbb{Z}_2 \times \mathbb{Z}_2, Dih_4$$

Minimal model

$$\Gamma = Dih_4 \simeq \mathbb{Z}_2 \times \mathbb{Z}_4$$

Matter	$10_M, Y_{10}$	$Y_{\overline{10}}$	$\overline{5}_M$	5_H	$\overline{5}_H$	X	N_R
$U(1)_{PQ}$	+1	+4	+2	-2	-3	-5	0

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$$5_H \rightarrow (5_H)_2$$

Minimal model

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$U(1)_{PQ}$	+1	+4	+2	-2	-3	-5	0

$$10_M \sim Y_{10}$$

$$5_H \cdot (10_M, Y_{10}) \cdot (10_M, Y_{10})$$

$$\overline{5}_H \cdot \overline{5}_M \cdot (10_M, Y_{10})$$

Which fields are matter ? We need $\langle X \rangle$ in order to give mass to $Y_{10}, Y_{\overline{10}}$.

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Messengers only one $Y_{\overline{10}}$

$$W \ni (10_M, Y_{10}) \quad Y_{\overline{10}} \quad X$$

↑

Y_{10}

- massive messenger

Minimal model

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$U(1)_{PQ}$	+1	+4	+2	-2	-3	-5	0

μ -term

$$\frac{1}{\Lambda_{GUT}} X^\dagger \cdot 5_H \cdot \overline{5}_H \rightarrow W \ni \frac{F_X}{\Lambda_{GUT}} 5_H \cdot \overline{5}_H$$
$$\mu \sim 10^2 \text{ GeV}$$

Minimal model

Matter	$10_M, Y_{10}$	$Y_{\overline{10}}$	$\overline{5}_M$	5_H	$\overline{5}_H$	X	N_R
$U(1)_{PQ}$	+1	+4	+2	-2	-3	-5	0

avoids dangerous

$$\overline{5}_M \cdot \overline{5}_M \cdot 10_M$$

no B/L-violation due to $U(1)_{PQ}$

Minimal model

Matter	$10_M, Y_{10}$	$Y_{\overline{10}}$	$\overline{5}_M$	5_H	$\overline{5}_H$	X	N_R
$U(1)_{PQ}$	+1	+4	+2	-2	-3	-5	0

Problems ????

$$W \ni \overline{5}_M \cdot 5_H \cdot N + \Lambda_{GUT} N^2$$

$$+ \overline{5}_M \cdot 5_H + N + N^3$$

if $\langle N \rangle \neq 0$ breaks $U(1)_{PQ}$ to B/L number-violation

$$\Gamma = \mathbb{Z}_3$$

	Minimal						
	$10_M, Y_{10}$	$\bar{5}_M$	5_H	$\bar{5}_H$	$Y_{\bar{10}}^a$	X	N
$U(1)_{PQ}$	+1	+1	-2	-2	+3	-4	-3
$U(1)_X$	-1	+3	+2	-2	+1	0	-5

Extra			
$10_{(1)}$	$Y_{\bar{5}}$	Y_5	\bar{D}
0	+1	+3	-1
+4	+3	-3	+5

Messengers

$$Y_{\overline{10}}^a, \quad Y_{10}, \quad 10_{(1)}$$
$$Y_5, \quad Y_{\overline{5}}$$

$$W \supset \underbrace{f_a Y_{\overline{10}}^a}_{Y_{\overline{10}}} Y_{10} X, \quad Y_{\overline{5}} Y_5 X, \quad \underbrace{g_a Y_{\overline{10}}^a}_{\overline{10}_{(1)}} 10_{(1)} N$$

Phenomenology does not constrain $\langle X \rangle$, $\langle N \rangle$, $\langle \overline{D} \rangle$,
but
suppression of **B/L-violation constraints** $\langle F_N \rangle$, $\langle F_D \rangle$.

$$\langle F_D \rangle$$

$$K \supset \frac{1}{\Lambda_{GUT}} \bar{5}_M 5_H \bar{D}^+$$

$$W \supset (\mu \bar{5}_H + \langle F_D \rangle \bar{5}_M)_2 (5_H)_2$$

with $\mu = F_X / \Lambda_{GUT}$. This can be put into canonical form $\mu' \bar{5}_H 5_H$ by a rotation. In consequence

$$y \frac{\langle F_D \rangle}{\mu'} 10_M \bar{5}_M (\bar{5}_M)_2 \supset QLd, LLe$$

[Dreiner] $F_D < 10^{-6} F_X$ (3rd family)

$\langle F_N \rangle$

$$K \supset \frac{1}{\Lambda_{GUT}} \bar{5}_M \bar{5}_H^+ N$$

$$\rightarrow V \sim \frac{F_N F_H}{\Lambda_{GUT}} \tilde{\nu}_L \rightarrow \tilde{\nu}_L \sim 10^2 \text{ GeV}$$

But

$$\mathcal{L} \subset \tilde{\nu}_L \nu_L (\tilde{B}, \tilde{W}^0) \rightarrow m_\nu \sim \frac{\langle \tilde{\nu}_L \rangle^2}{m_W}$$

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Conclusion: $\langle F_N \rangle = 0 = \langle F_D \rangle$, $\langle F_X \rangle \neq 0$

Other dangerous operators

$$W \supset \frac{\mu \langle \bar{D} \rangle}{\langle X \rangle^2} Y_5 10_M 10_M, \quad \frac{\langle \bar{D} \rangle}{\langle X \rangle} Y_{\bar{5}} 10_M \bar{5}_M$$

Integrating over the messengers we obtain

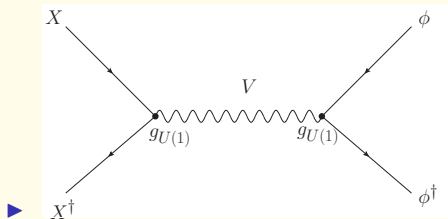
$$W \supset \frac{\mu \langle \bar{D} \rangle^2}{\langle X \rangle^4} 10_M 10_M 10_M \bar{5}_M$$

\uparrow \uparrow

$QQQL, QQ\bar{D}\bar{E}$

Conclusion: Nothing dangerous.

SUSY breaking terms



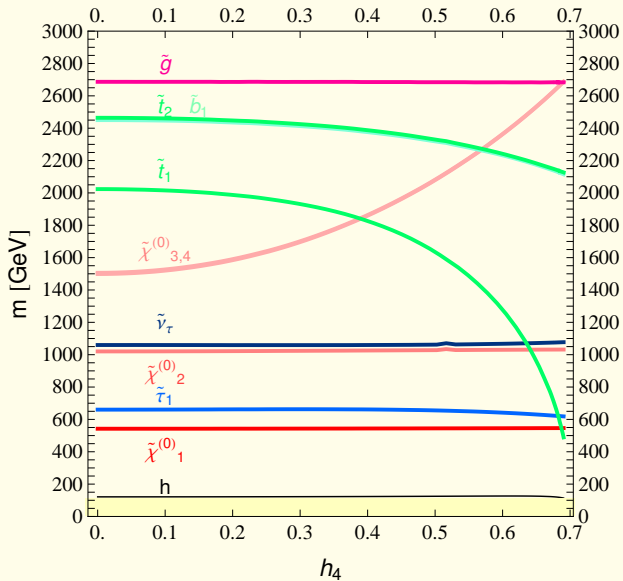
$$\delta K = \frac{XX^\dagger}{\Lambda_{GUT}^2} \Phi_M \Phi_M^\dagger \rightarrow \text{sfermions masses} \sim \delta m^2 \sim \frac{\langle F_X \rangle^2}{\Lambda_{GUT}^2}$$

- ▶ messenger exchange \rightarrow gaugino masses
- ▶ vector multiplet loops \rightarrow sfermion masses
- ▶ mixed messenger–vector multiplet loops

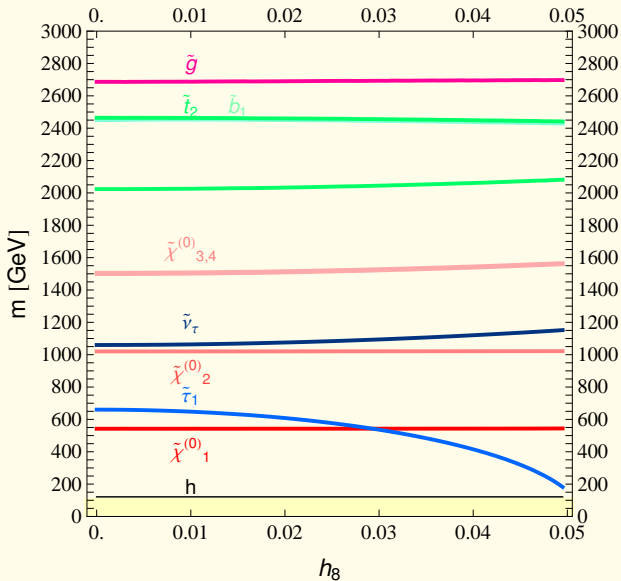
RG-soft masses

$$\begin{aligned} W = & h_1 H_u Y_Q Y_U + h_2 H_d Y_D Y_Q + h_3 H_d Y_L Y_E \\ & + h_4 H_u Q Y_U + h_5 H_u U Y_Q + h_6 H_d Y_L E \\ & + h_7 H_d Y_D Q + h_8 H_d D Y_Q + h_9 H_d L Y_E \\ & + \text{mass terms for messengers} \\ & + y_u H_u Q U + y_d H_d Q D + y_e H_d L E \\ & + \mu H_u H_d \end{aligned}$$

RG-soft masses



RG-soft masses



Conclusions

- ▶ $\Gamma = \mathbb{Z}_3$ is a nice F-GUT model
- ▶ no exotics at low energies
- ▶ no dangerous operators
- ▶ potentially interesting low energy phenomenology

Conclusions

- ▶ $\Gamma = \mathbb{Z}_3$ is a nice F-GUT model
- ▶ no exotics at low energies
- ▶ no dangerous operators
- ▶ potentially interesting low energy phenomenology
- ▶ other Γ 's are similar ?