

Goldstino Couplings in mSSM

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31/5/'11 - Lisbon - Planck 2011

Based on hep-ph/1006.1662
[with I. Antoniadis, E. Dudas, D. Ghilencea]

Scales in standard ~~SUSY~~

M_{Planck}, M_{mes} → Scale of physics that communicates the breaking.

\sqrt{f} → SUSY breaking scale.

$\frac{f}{M_{Planck}}, \frac{\alpha}{4\pi} \frac{f}{M_{mes}}$ → Mediated breaking scale.

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What are the effects on MSSM of the ~~SUSY~~ physics?

Low scale ~~SUSY~~ ($f \ll M_{\text{Planck}}$)



Gravitino nearly massless (f/M_{Planck})



Interactions of its longitudinal component (goldstino) dominate over Planck suppressed interactions of the transverse components.



Goldstino couplings to matter.



Nonlinear SUSY

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Supersymmetry realized on a single fermion (goldstino)

$$\delta_\eta G_\alpha = f\eta_\alpha - \frac{i}{f}(G\sigma^\mu\bar{\eta} - \eta\sigma^\mu\bar{G})\partial_\mu G_\alpha \longrightarrow (\delta_\eta\delta_{\eta'} - \delta_{\eta'}\delta_\eta)G_\alpha = -2i(\eta\sigma^\mu\bar{\eta}' - \eta'\sigma^\mu\bar{\eta})\partial_\mu G_\alpha$$

Akulov, Volkov '73

Various languages have been developed for goldstino couplings:

“Geometric” approach, Goldstino superfield, Constrained Superfield

Akulov, Volkov '73

Clark, Love '96

Ivanov, Kapustnikov '78

Samuel, Wess '83

Brignole, Feruglio, Zwirner '97

Antoniadis, Tuckmantel '04

Rocek '78

Here we use a formalism very similar to the Constrained Superfield.



Komargodski, Seiberg '09

Goldstino Couplings to Matter

Take chiral superfield $\rightarrow X_{nl} = \phi + \sqrt{2} \theta \psi + \theta\theta F$

Impose constraint $\rightarrow X_{nl}^2 = 0 \rightarrow \phi = \frac{\psi\psi}{2F}$

► The constraint is independent from the UV completion.

Komargodski, Seiberg '09

► $\int d^4\theta X_{nl}^\dagger X_{nl} + \left(\int d^2\theta f X_{nl} + h.c. \right)$ reproduces the Akulov - Volkov Lagrangian.

MSSM + X_{nl}

Minimal coupling of X_{nl} to MSSM:

$$\begin{aligned} \mathcal{L} = & \int d^4\theta \left[X_{nl}^\dagger X_{nl} + \left(1 - \frac{m_i^2}{f^2} X_{nl}^\dagger X_{nl} \right) \Phi_i^\dagger e^{V_i} \Phi_i \right] \\ & + \int d^2\theta \left[f X_{nl} + W(\Phi_i) + \frac{B_{ij}}{2f} X_{nl} \Phi_i \Phi_j + \frac{A_{ijk}}{6f} X_{nl} \Phi_i \Phi_j \Phi_k + \frac{1}{4} \left(1 + \frac{2m_\lambda}{f} X_{nl} \right) \text{Tr}[W^\alpha W_\alpha] \right] + h.c. \end{aligned}$$

- ▶ **The goldstino couplings are set by the soft terms. No arbitrary scales or coefficients.**
- ▶ **Non Goldstino couplings are necessarily included.**

Nonlinear MSSM: Higgs sector

$$V = \tilde{m}_1^2 |h_1|^2 + \tilde{m}_2^2 |h_2|^2 + (B h_1 \cdot h_2 + h.c.) + \frac{g_1^2 + g_2^2}{8} (|h_1|^2 - |h_2|^2)^2 + \frac{g_2^2}{2} |h_1^\dagger h_2|^2 \quad \blacktriangleright \text{MSSM}$$
$$+ f^2 + \frac{1}{f^2} |m_1^2 |h_1|^2 + m_2^2 |h_2|^2 + B h_1 \cdot h_2|^2 + \mathcal{O}(f^{-3}) \quad \longrightarrow \text{nonlinear}$$

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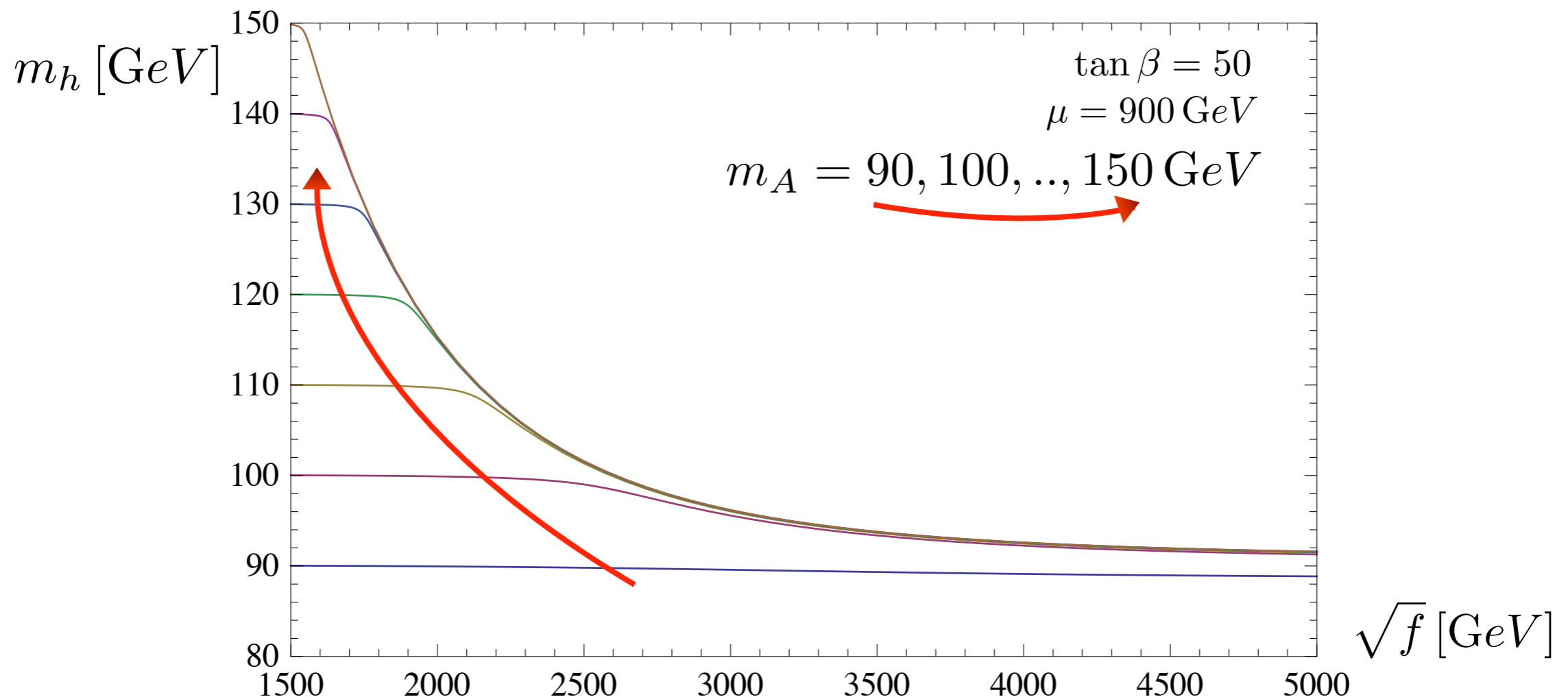
$$m_h^2 = \left[m_Z^2 + \mathcal{O}(\tan^{-2} \beta) \right] + \frac{v^2}{2f^2} \left[(2\mu^2 + m_Z^2)^2 + \mathcal{O}(\tan^{-2} \beta) \right] + \mathcal{O}(f^{-3})$$

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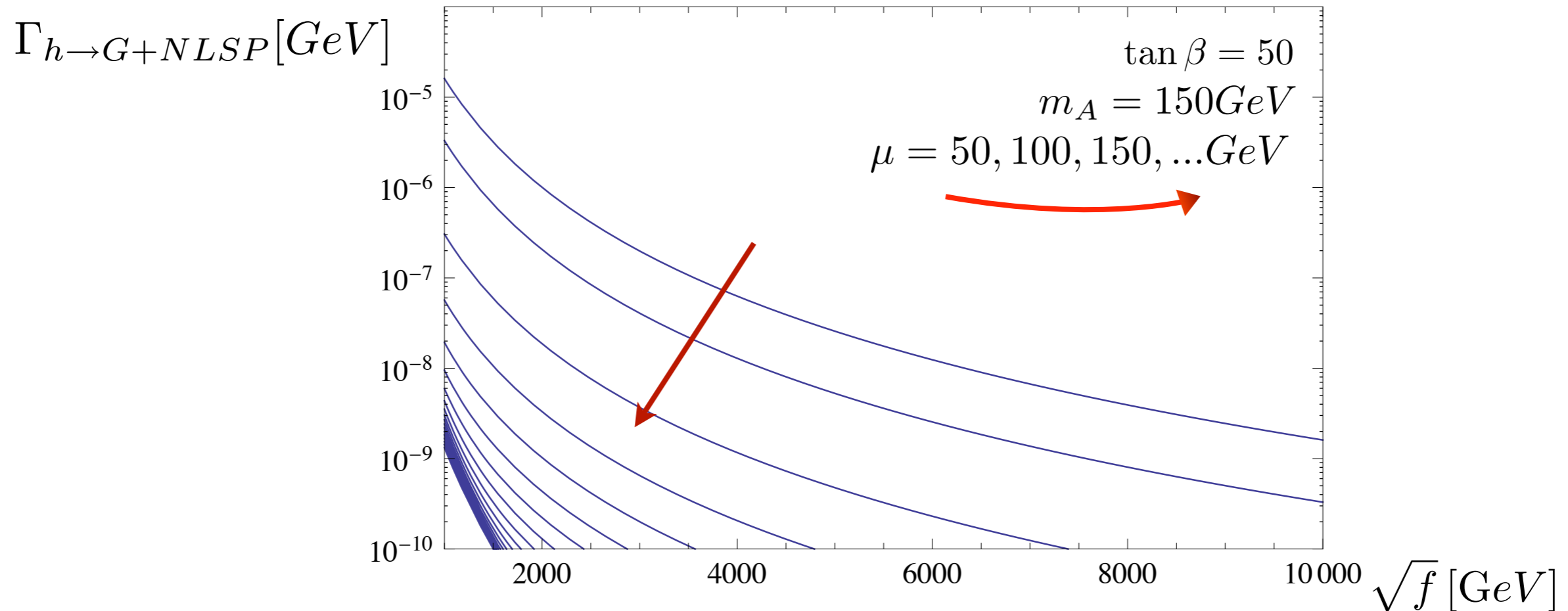
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Nonlinear MSSM: New couplings

Invisible Higgs decay: $h \rightarrow G + NLSP$



Compare to SM Higgs (at 115 GeV) $h \rightarrow \gamma \gamma : 10^{-6} GeV$

Dimopoulos, Thomas, Wells '96
Djouadi, Drees '97

Also invisible decay $Z \rightarrow G + NLSP$ et c.