

Broadcast-based nonlocality activation for noisy states

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N. Tischler^a, S. Slussarenko^a, E. Cavalcanti^b and G. Pryde^a

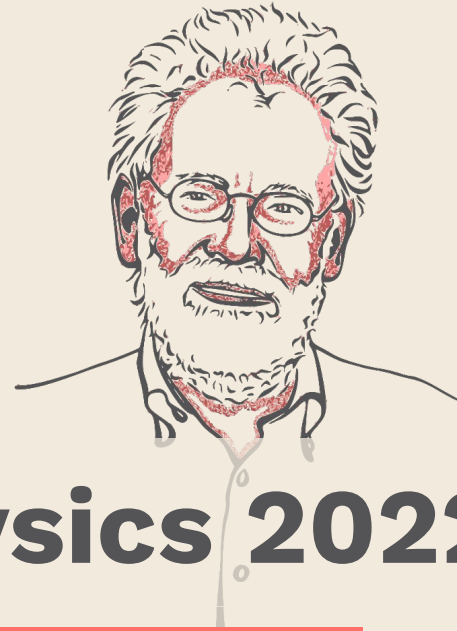
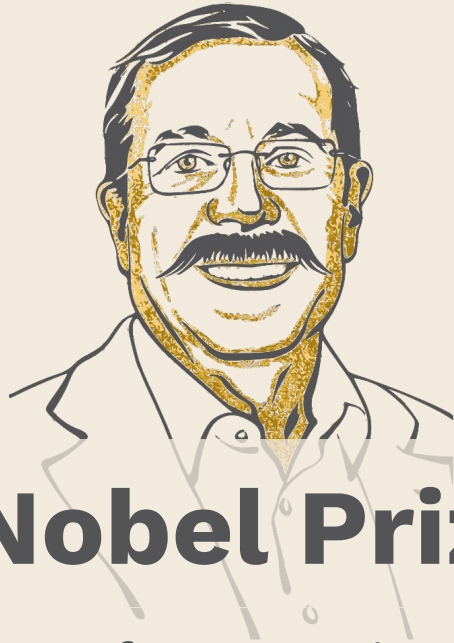
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CENTRE FOR
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AUSTRALIAN RESEARCH COUNCIL CENTRE OF EXCELLENCE



Nobel Prize in Physics 2022

"for experiments with **entangled photons**,
establishing the violation of **Bell inequalities** and
pioneering quantum information science"

Nonlocality

is a key resource for
quantum information
processing protocols, like

Quantum key
distribution [1]

Randomness
generation [2]

One **problem**:

Noise degrades the nonlocal
behaviour of quantum states.

Quantum networks provide
a novel context to study
nonlocality.

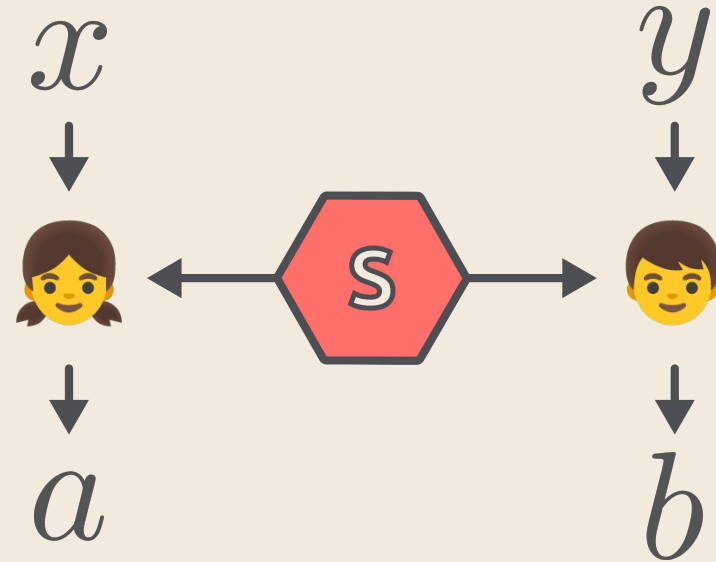
Quantum networks provide
a novel context to study
nonlocality.

Can we use them to build
noise-tolerant nonlocality tests?

Bell tests

The CHSH inequality [3]

$$S = \langle a_0 b_0 \rangle + \langle a_0 b_1 \rangle \\ + \langle a_1 b_0 \rangle - \langle a_1 b_1 \rangle \leq 2$$

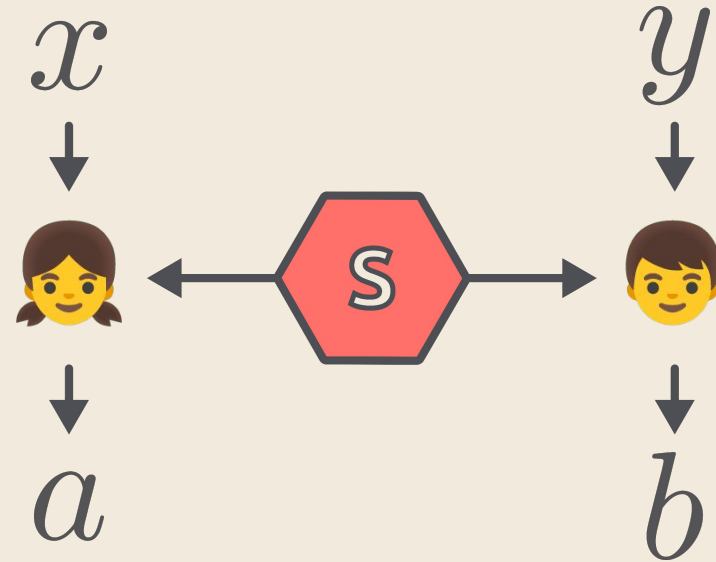


Bell local

Bell tests

The CHSH inequality [3]

$$S = 2\sqrt{2} > 2$$



$$|\Phi^+\rangle = \frac{1}{\sqrt{2}} (|00\rangle + |11\rangle)$$



*What is the relationship
between **nonlocality**
and **entanglement**?*

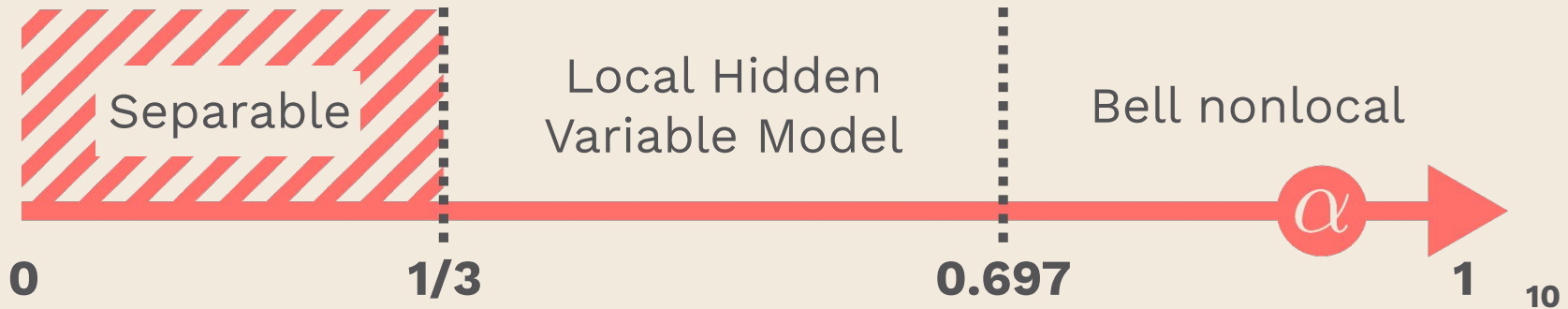


The Werner State

Maximally **entangled**

$$\rho_\alpha = \alpha |\Phi^+\rangle\langle\Phi^+| + (1 - \alpha) \frac{I}{4}$$

White **noise**



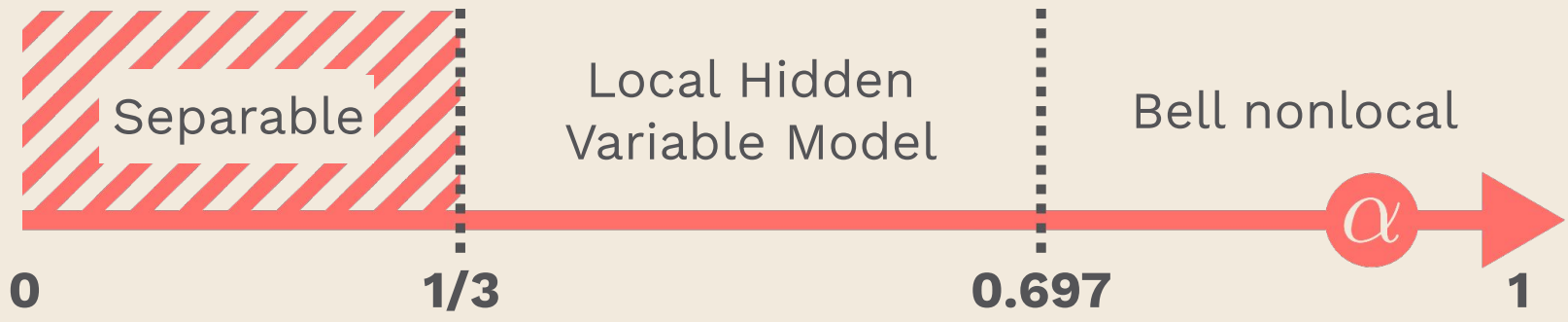
The Werner state

Is it possible to lower this bound using **quantum networks**?

Maximally **entangled**

$$+ (1 - \alpha) \frac{I}{4}$$

noise



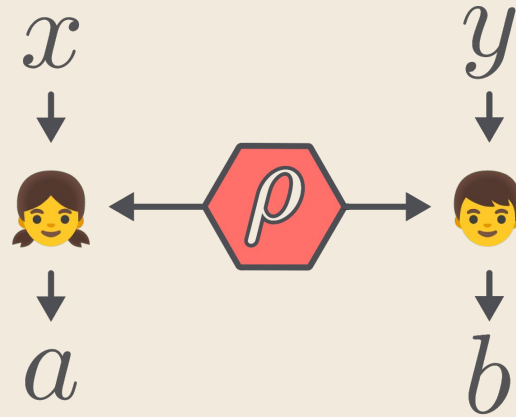
[4] Reinhard F. Werner. "Quantum States with Einstein-Podolsky-Rosen Correlations Admitting a Hidden-Variable Model", Phys. Rev. A 40.8 (1989)

Nonlocality activation

... where complex measurement scenarios can reveal the nonlocality of some Bell-local states.

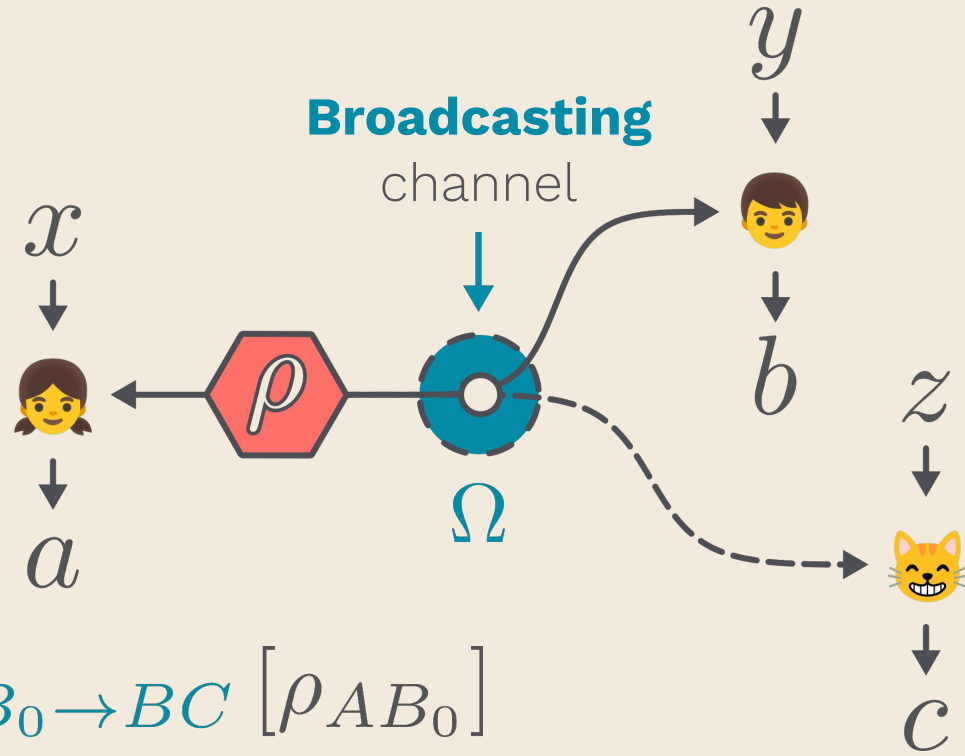
Broadcast scenario

Bowles et. al.



Broadcast scenario

Bowles et. al.

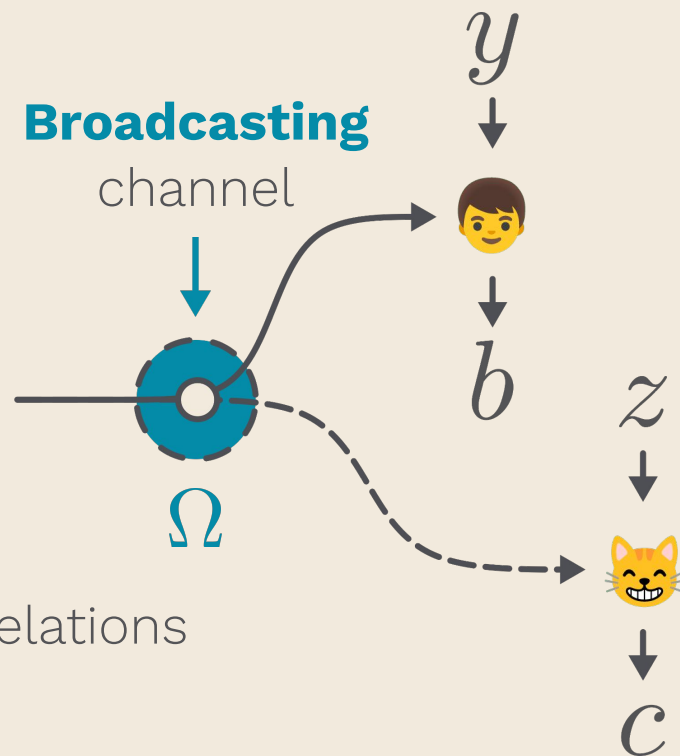


$$\rho_{ABC} = I \otimes \Omega_{B_0 \rightarrow BC} [\rho_{AB_0}]$$

Broadcast scenario

Bowles et. al.

- Isometry $\Omega_{B_0 \rightarrow BC}$
- Ω provides **non-signalling** correlations between 🧑 and 🐱



Broadcast scenario

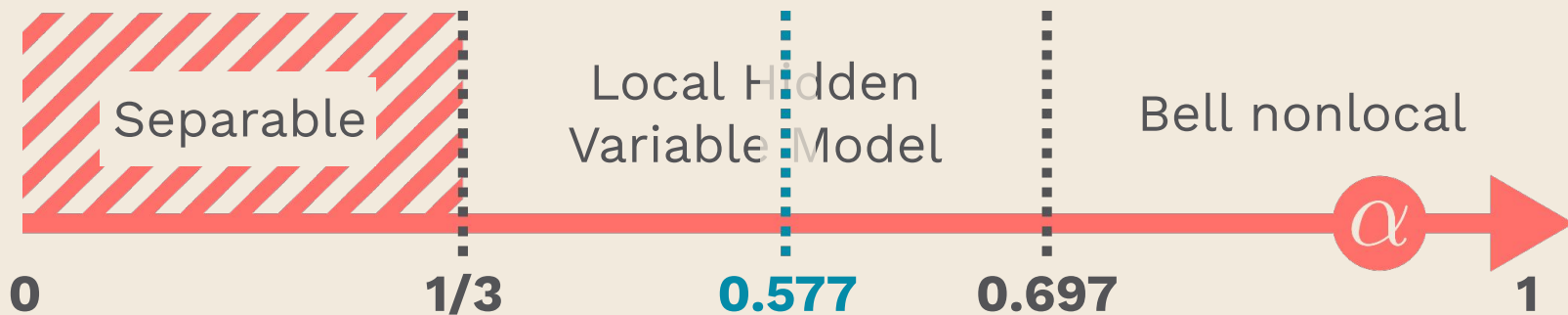
Bowles et. al.

Broadcast local

$$\begin{aligned} \mathcal{I} = & \langle A_0 B_0 C_0 \rangle + \langle A_0 B_1 C_1 \rangle + \langle A_1 B_1 C_1 \rangle - \langle A_1 B_0 C_0 \rangle \\ & + \langle A_0 B_0 C_1 \rangle + \langle A_0 B_1 C_0 \rangle + \langle A_0 B_1 C_1 \rangle - \langle A_1 B_1 C_0 \rangle \\ & - 2\langle A_2 B_0 \rangle + 2\langle A_2 B_1 \rangle \leq 4 \end{aligned}$$

Broadcast activation

Werner state ρ_α
can show nonlocal
behaviour for
 $\alpha > 1/\sqrt{3}$



Experiment:

Single photons as qubits

$$|0\rangle = |1\rangle_H \otimes |0\rangle_V \equiv |H\rangle$$

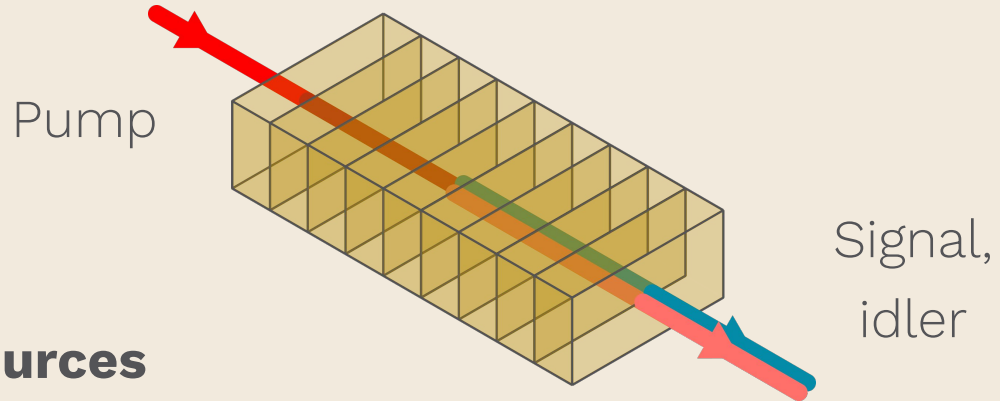
$$|1\rangle = |0\rangle_H \otimes |1\rangle_V \equiv |V\rangle$$

Spontaneous Parametric Down Conversion

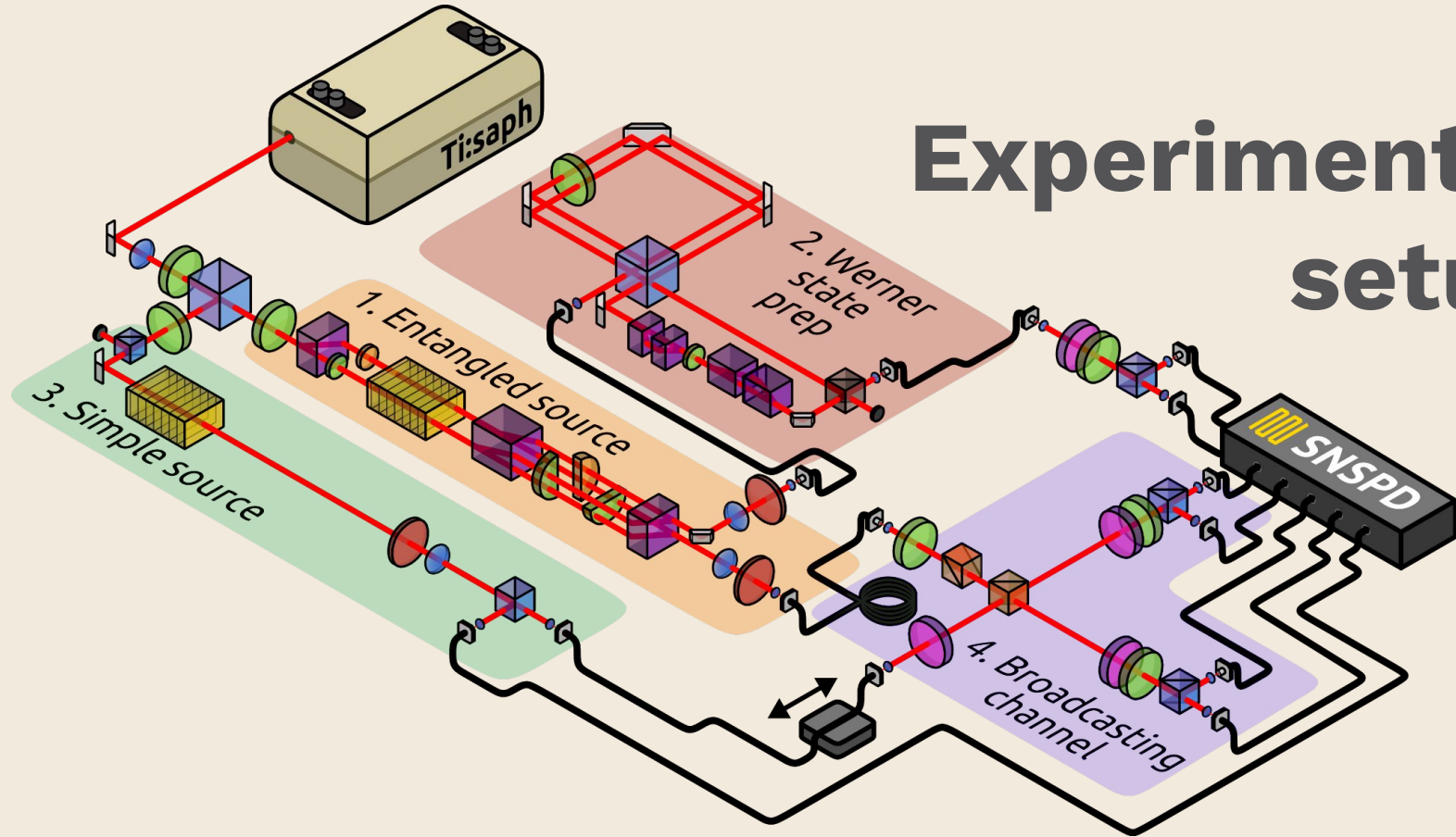
$$\omega_p = \omega_s + \omega_i$$

$$\vec{k}_p = \vec{k}_s + \vec{k}_i$$

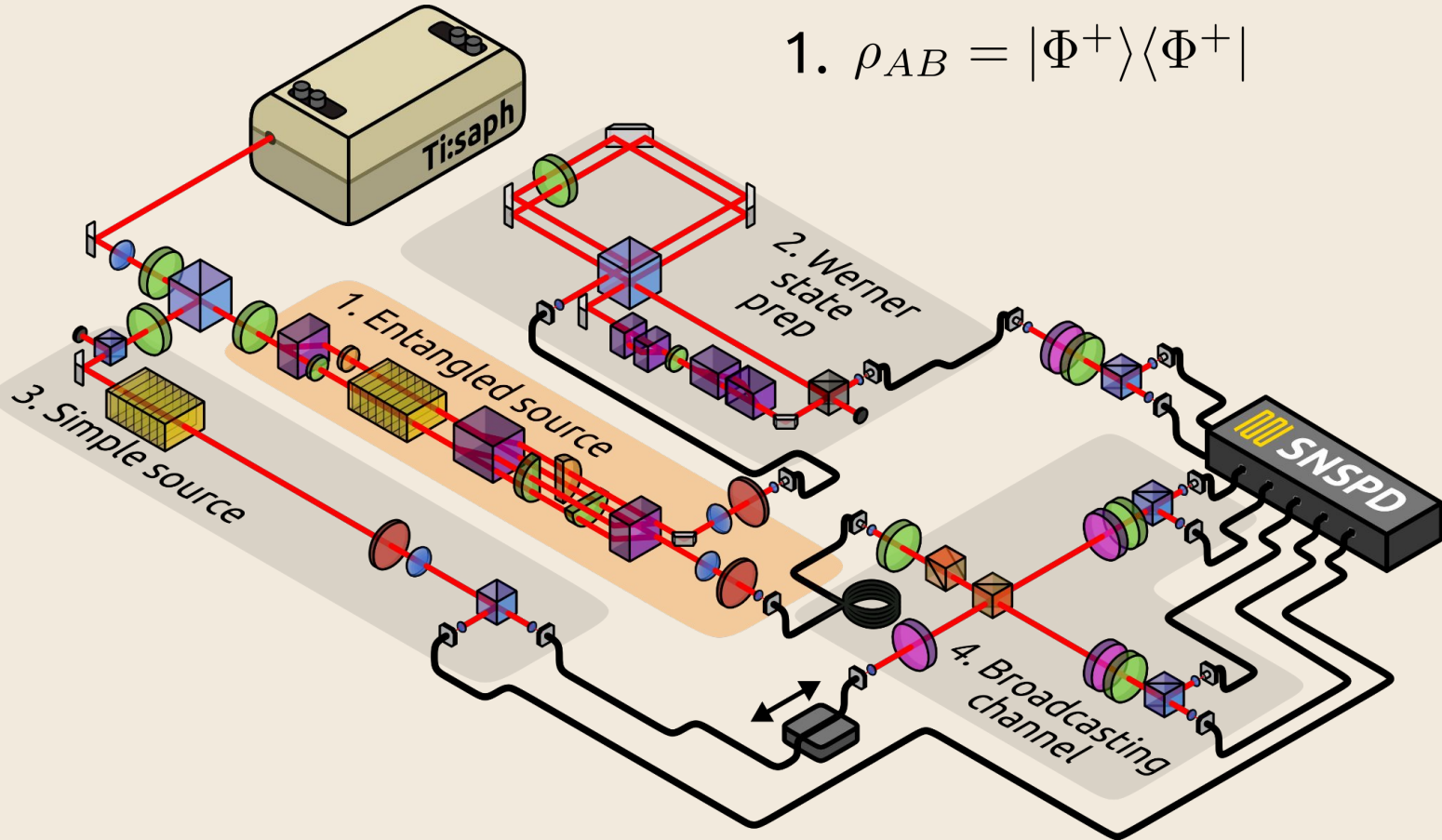
Single-photon pair sources



Experimental setup



$$1. \rho_{AB} = |\Phi^+\rangle\langle\Phi^+|$$



Quantum correlations

Quantum steering with vector vortex photon states with the detection loophole closed

[Sergei Slussarenko](#) ✉, [Dominick J. Joch](#), [Nora Tischler](#), [Farzad Ghafari](#), [Lynden K. Shalm](#), [Varun B. Verma](#), [Sae Woo Nam](#) & [Geoff J. Pryde](#) ✉

[npj Quantum Information](#) **8**, Article number: 20 (2022) | [Cite this article](#)

Conclusive Experimental Demonstration of One-Way Einstein-Podolsky-Rosen Steering

Nora Tischler, Farzad Ghafari, Travis J. Baker, Sergei Slussarenko, Raj B. Patel, Morgan M. Weston, Sabine Wollmann, Lynden K. Shalm, Varun B. Verma, Sae Woo Nam, H. Chau Nguyen, Howard M. Wiseman, and Geoff J. Pryde

Phys. Rev. Lett. **121**, 100401 – Published 7 September 2018

Certified random-number generation from quantum steering

Dominick J. Joch, Sergei Slussarenko, Yuanlong Wang, Alex Pepper, Shouyi Xie, Bin-Bin Xu, Ian R. Berkman, Sven Rogge, and Geoff J. Pryde

Phys. Rev. A **106**, L050401 – Published 7 November 2022

Quantum
technologies

Quantum correlations

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Tuesday 13 Dec

5:15 PM @ Room R6

Wednesday 14 Dec

3:00 PM @ Room R4

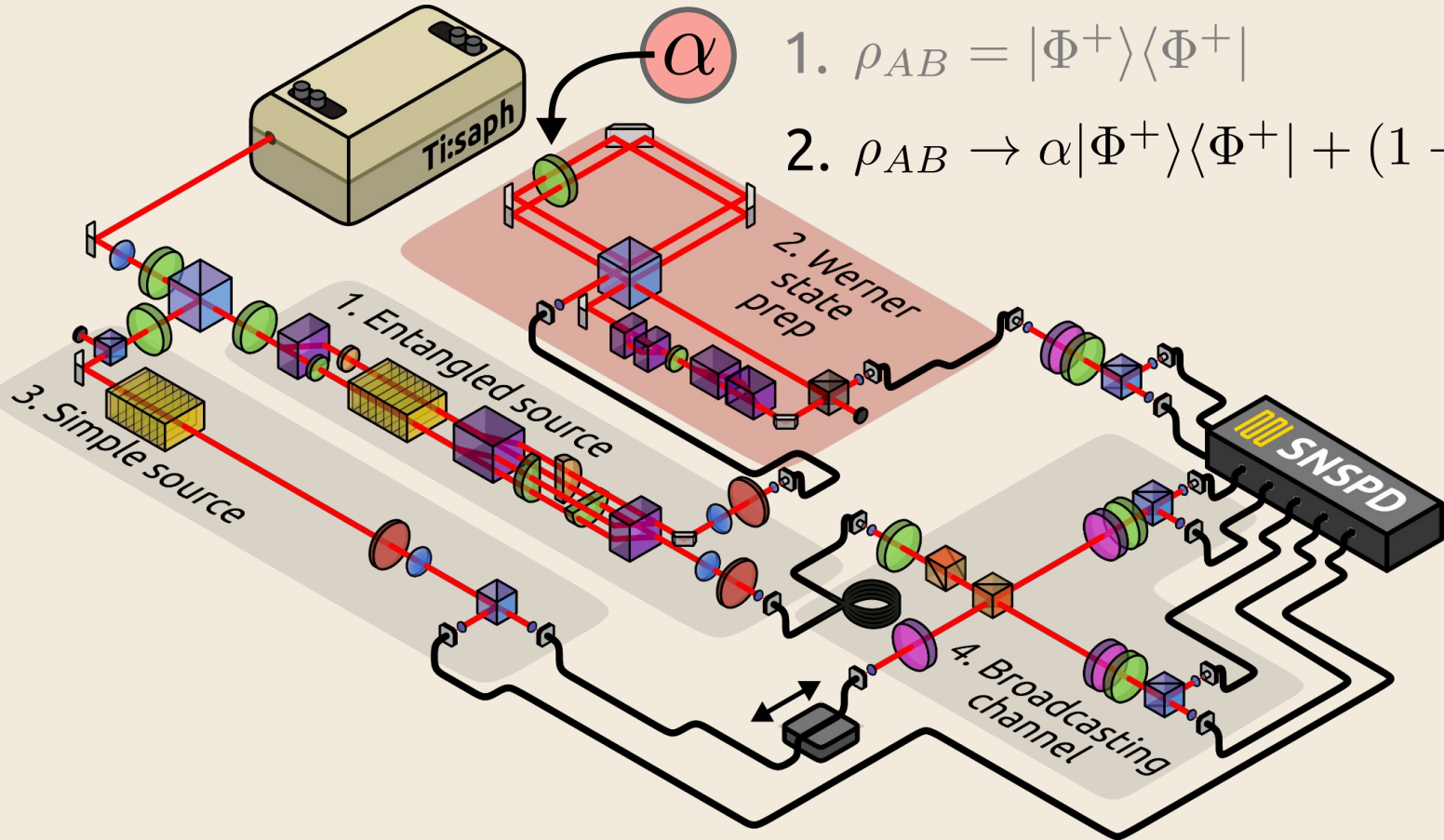
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**Quantum
technologies**

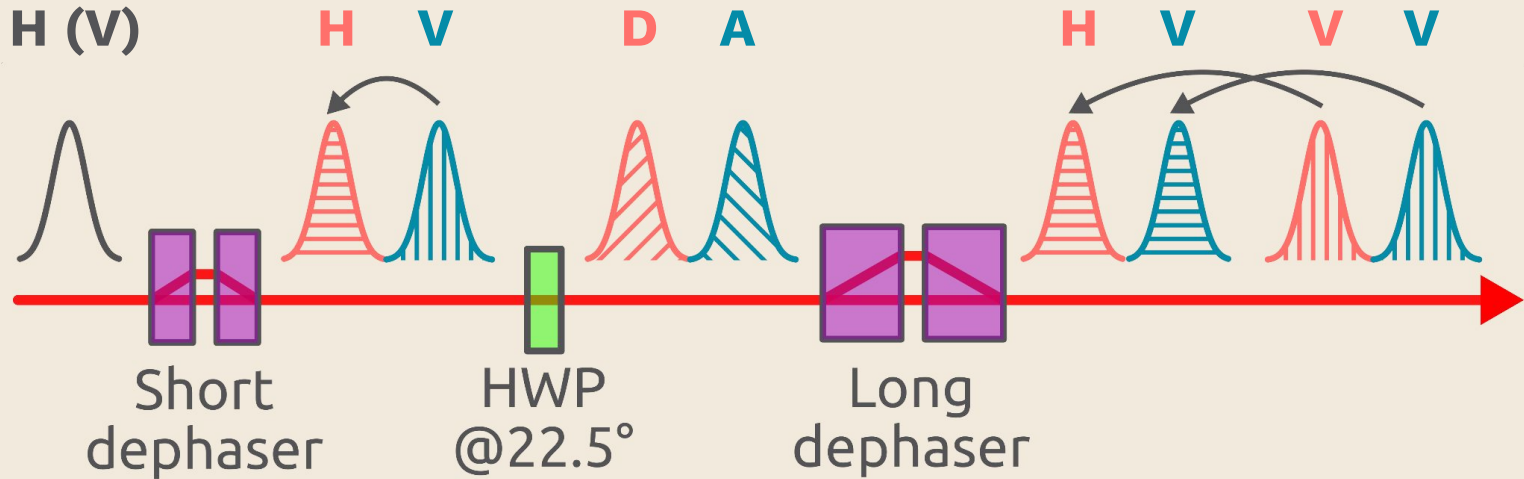
1. $\rho_{AB} = |\Phi^+\rangle\langle\Phi^+|$

2. $\rho_{AB} \rightarrow \alpha|\Phi^+\rangle\langle\Phi^+| + (1 - \alpha)\frac{I}{4}$



Adding noise to the system

Map orthogonal polarisation modes to orthogonal time modes

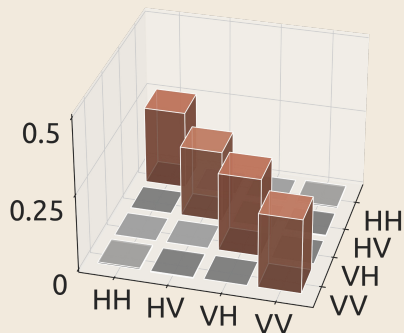


State fidelity

$$F = \left[\text{Tr} \left(\sqrt{\sqrt{\rho_{\text{exp}}} \rho_{\alpha} \sqrt{\rho_{\text{exp}}}} \right) \right]^2$$

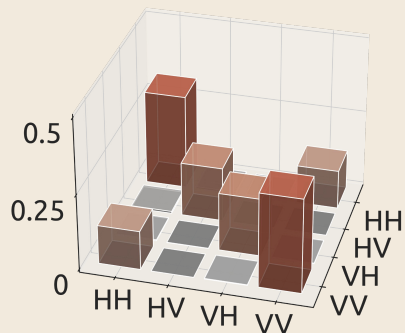
$$F = 0.9994 \pm 0.0001$$

$$\alpha = 0.010 \pm 0.004$$



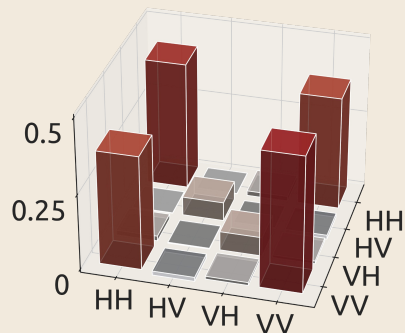
$$F = 0.9978 \pm 0.0002$$

$$\alpha = 0.257 \pm 0.004$$



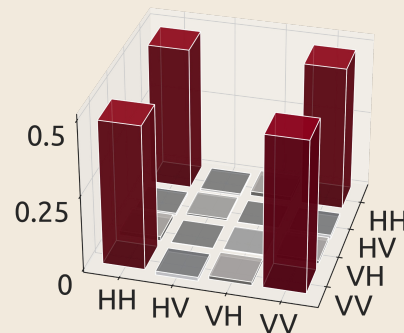
$$F = 0.9943 \pm 0.0007$$

$$\alpha = 0.758 \pm 0.003$$



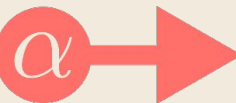
$$F = 0.9904 \pm 0.0006$$

$$\alpha = 0.984 \pm 0.001$$



0

$$\rho_{\alpha} = \alpha |\Phi^{+}\rangle\langle\Phi^{+}| + (1 - \alpha) \frac{I}{4}$$

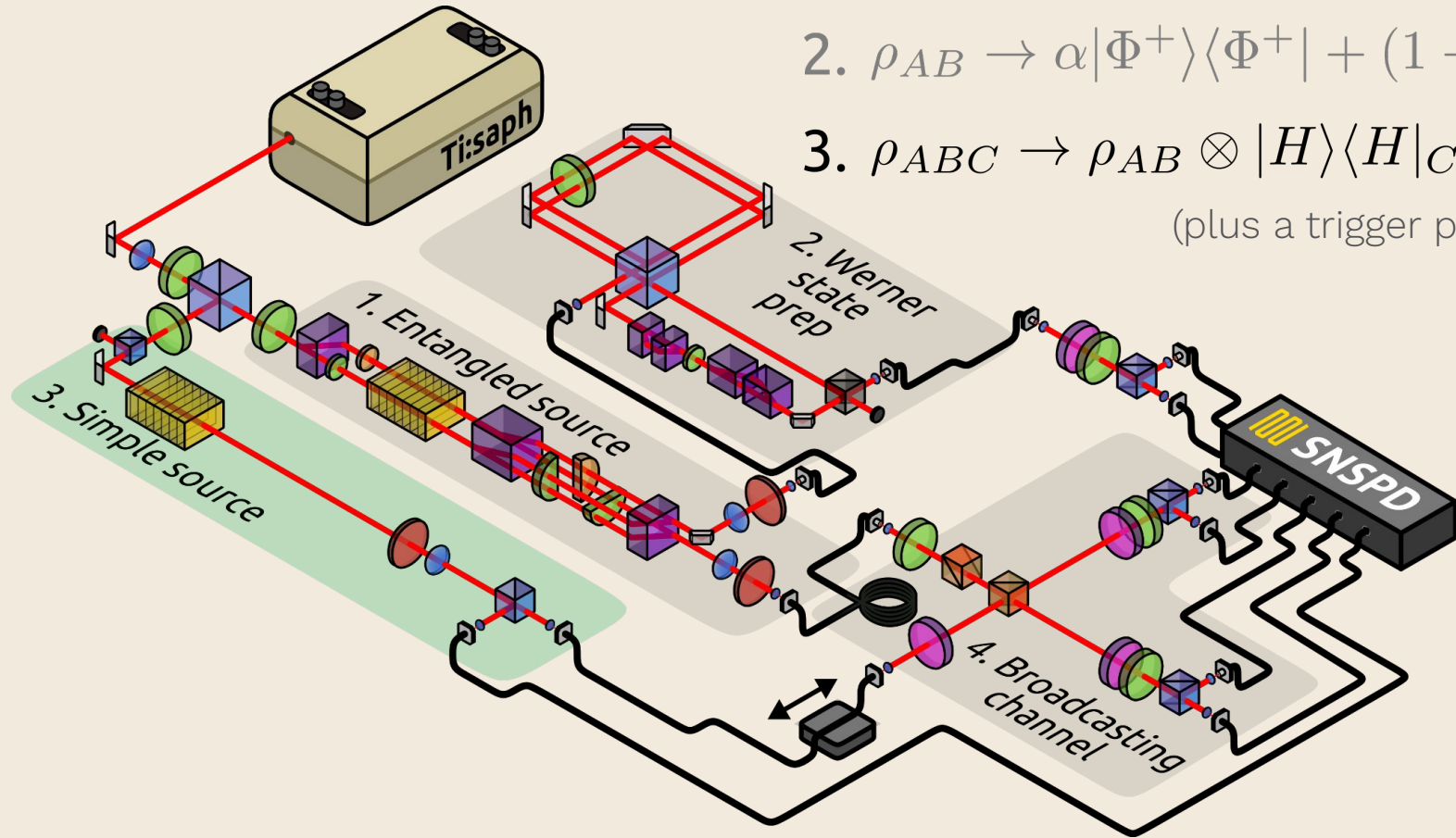


1

$$2. \rho_{AB} \rightarrow \alpha|\Phi^+\rangle\langle\Phi^+| + (1 - \alpha)\frac{I}{4}$$

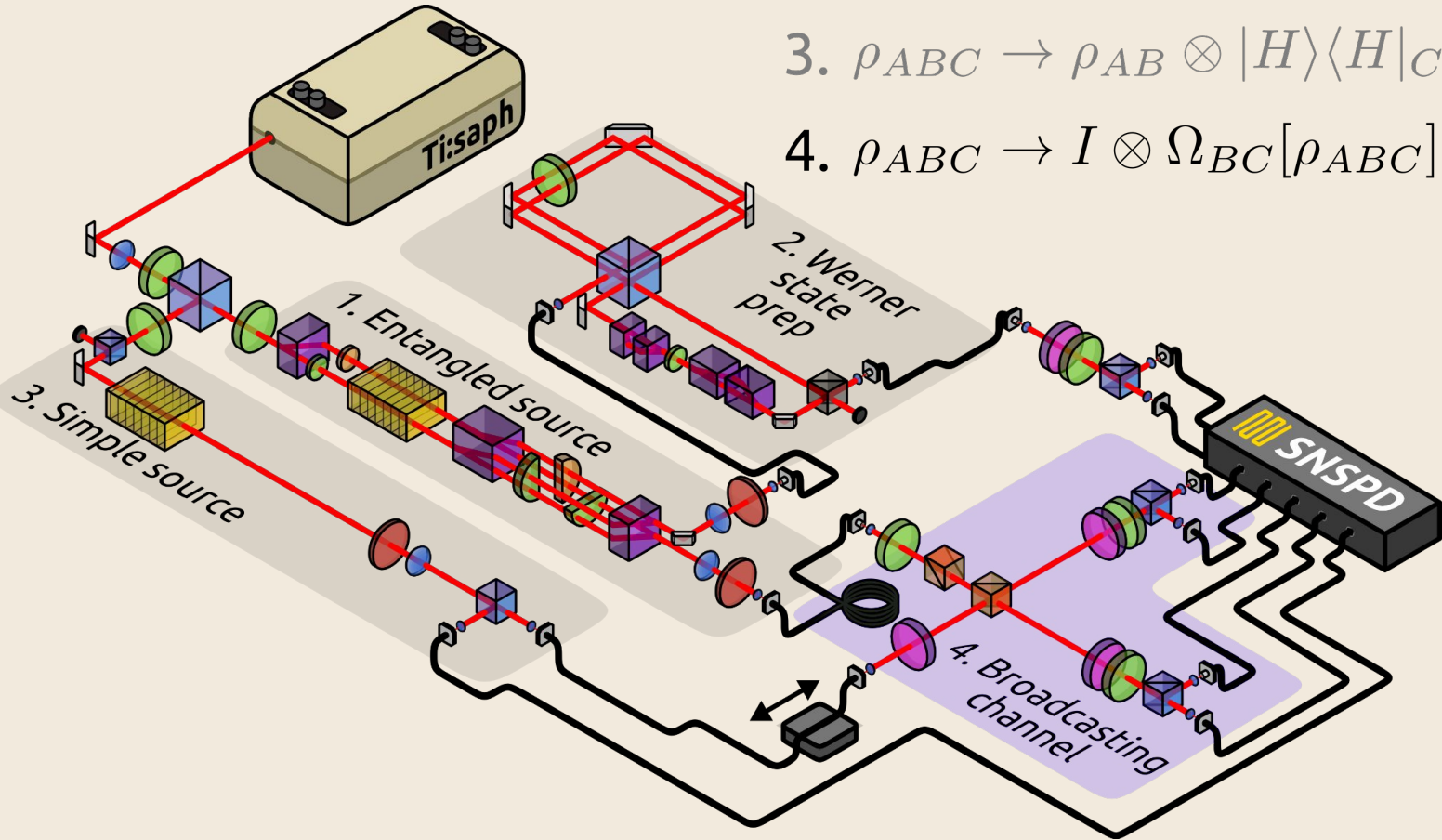
$$3. \rho_{ABC} \rightarrow \rho_{AB} \otimes |H\rangle\langle H|_C$$

(plus a trigger photon)



$$3. \rho_{ABC} \rightarrow \rho_{AB} \otimes |H\rangle\langle H|_C$$

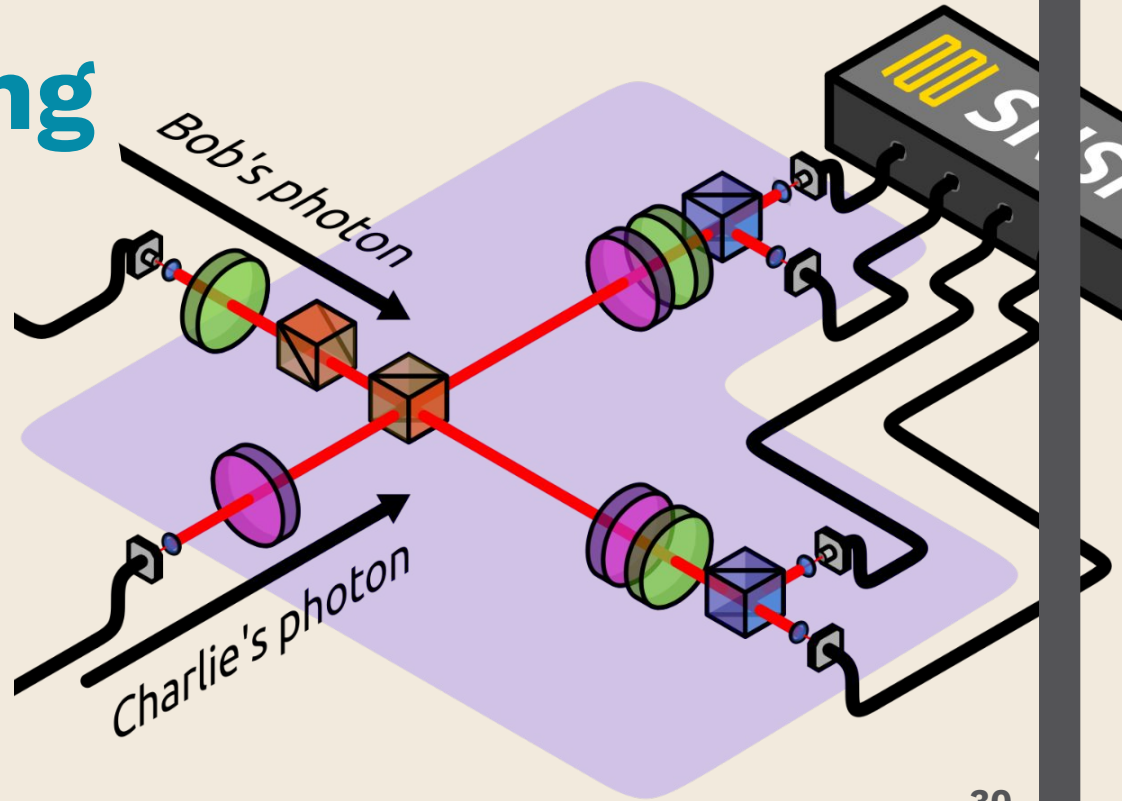
$$4. \rho_{ABC} \rightarrow I \otimes \Omega_{BC}[\rho_{ABC}]$$



Broadcasting operation

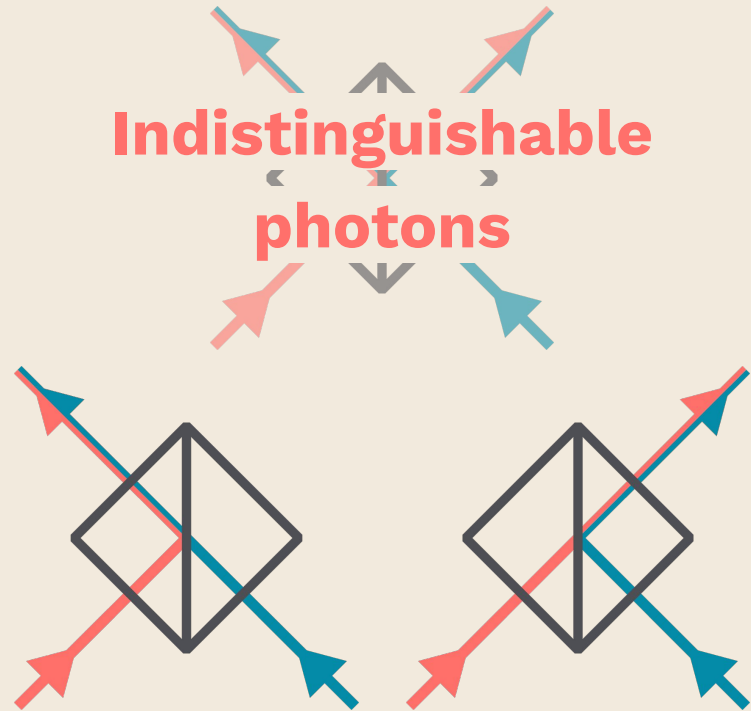
Through a controlled NOT gate [7]

Before		After	
Control	Target	Control	Target
H	H	H	H
H	V	H	V
V	H	V	V
V	V	V	H



An optical CNOT gate

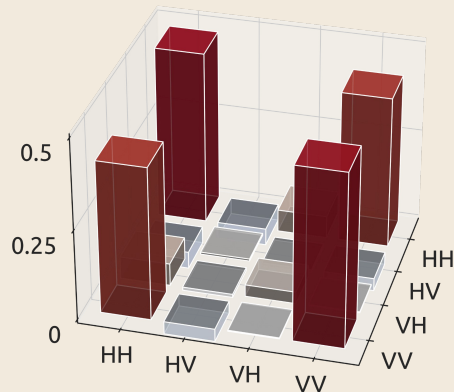
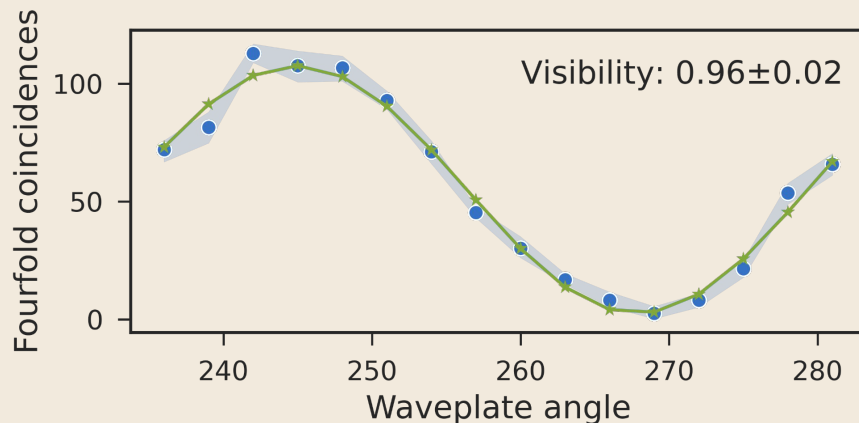
Hong-Ou-Mandel
interference [8]



An optical CNOT gate

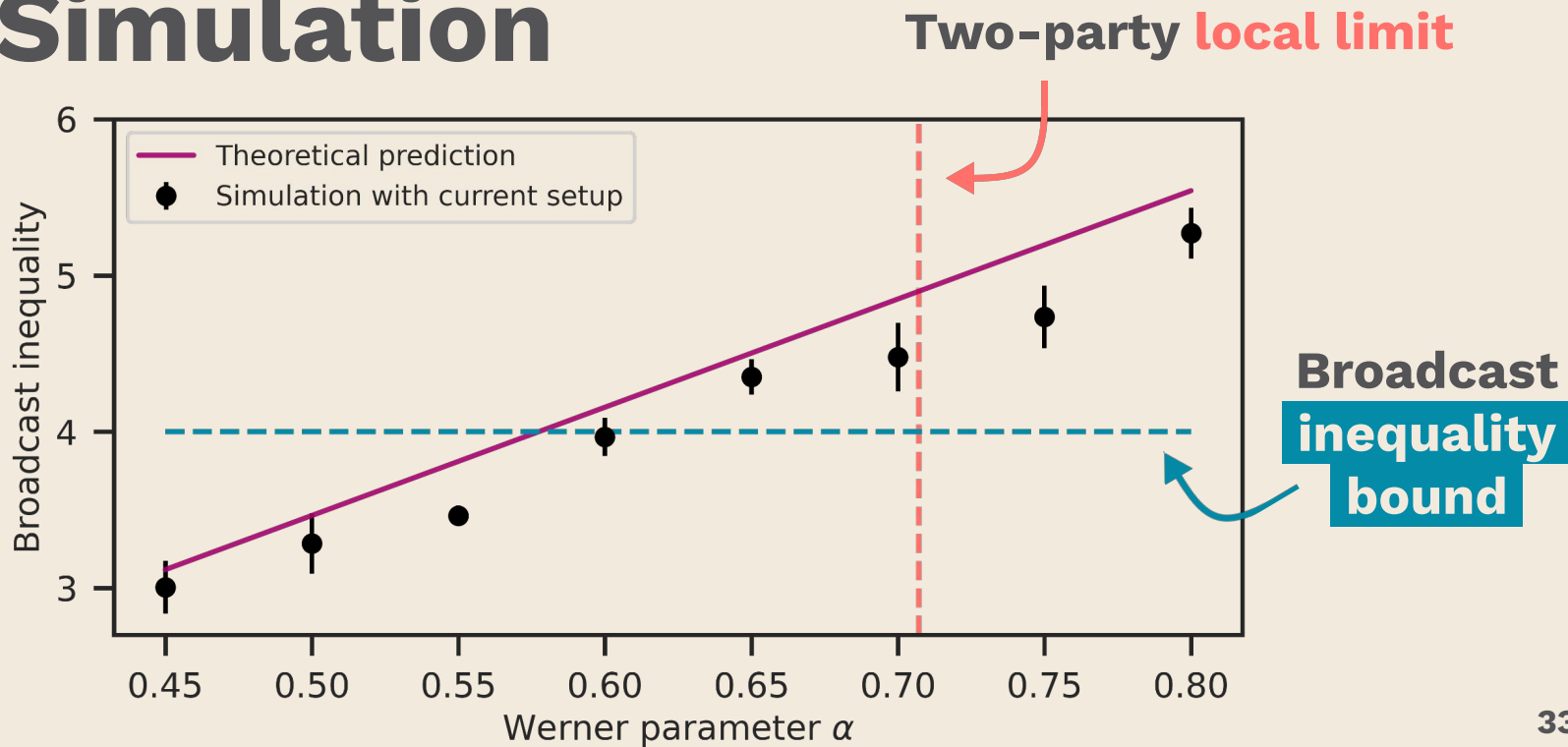
Current status

$$|DH\rangle = \frac{1}{\sqrt{2}} (|HH\rangle + |VH\rangle)$$
$$\rightarrow \frac{1}{\sqrt{2}} (|HH\rangle + |VV\rangle)$$

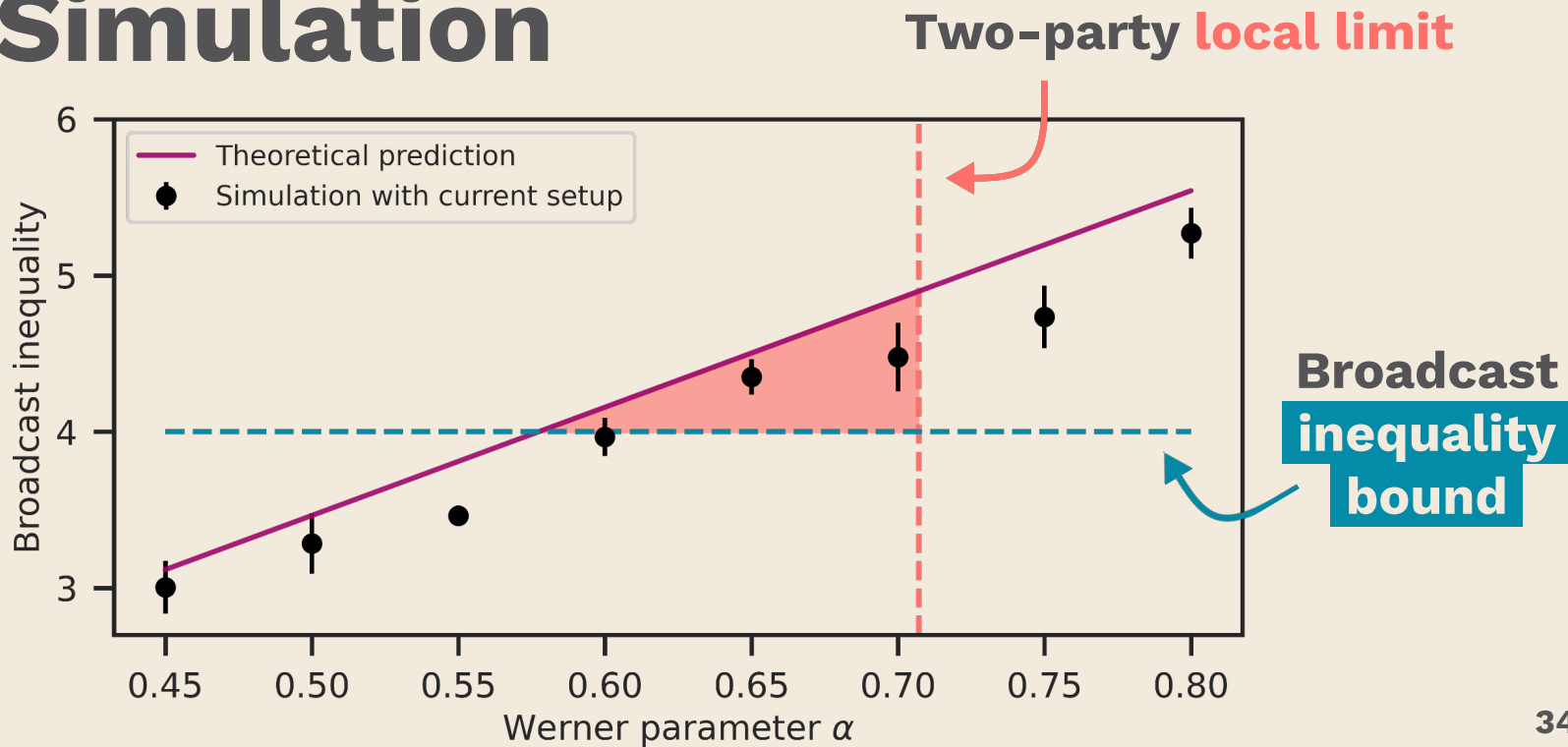


$F \sim 90\%$

Simulation



Simulation



In a nutshell

- Nonlocality is **key** for quantum protocols
- Noise **degrades** these nonlocal correlations
- We can **bring them back** with the help of quantum networks

In a nutshell: experiment

- Source of very **high-quality**, **high-fidelity** photonic quantum states
- Fully controllable **mixture** in the system
- Optimising two-photon interference for data collection



Thanks!