

The role of vector boson fusion in the production of heavy vector triplets at the LHC and HL-LHC

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The LHC: Beyond the Standard Model



- 27km ring of superconducting magnets
- Oppositely-travelling proton beams collide at $0.999999999c$
- 14 TeV centre-of-mass energy

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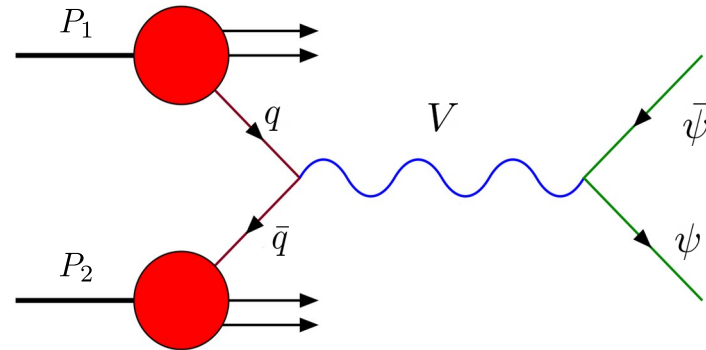
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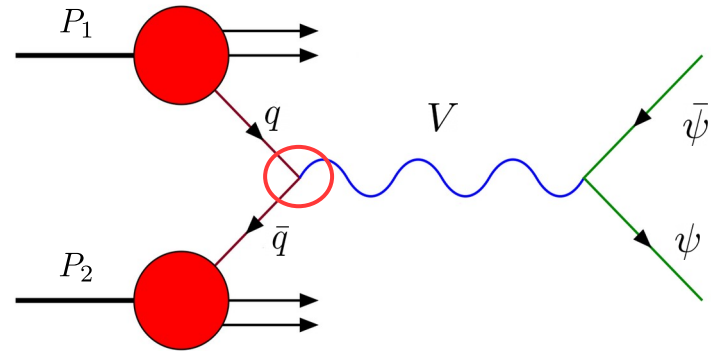
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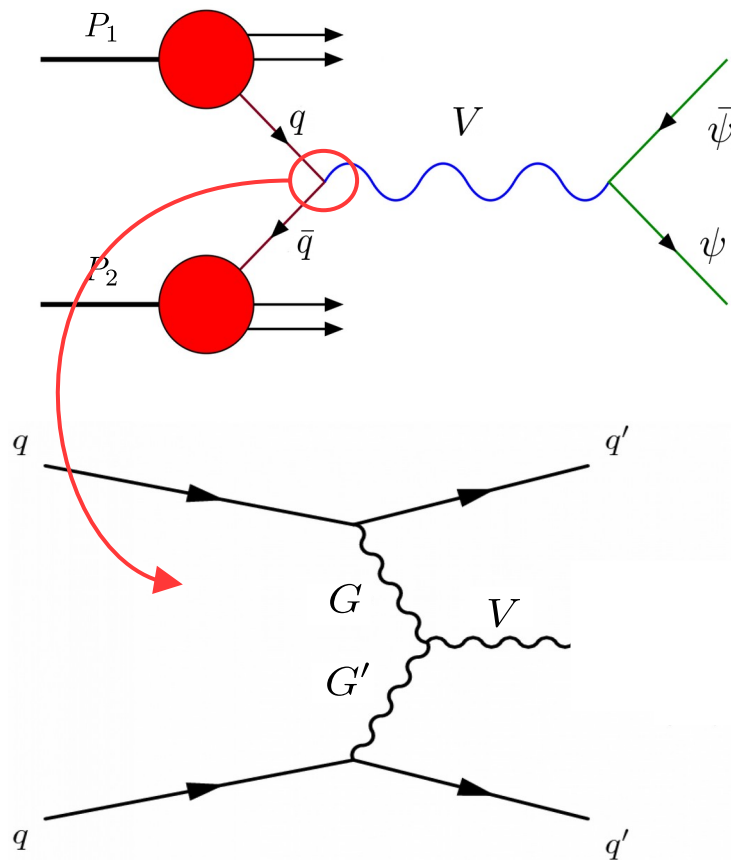
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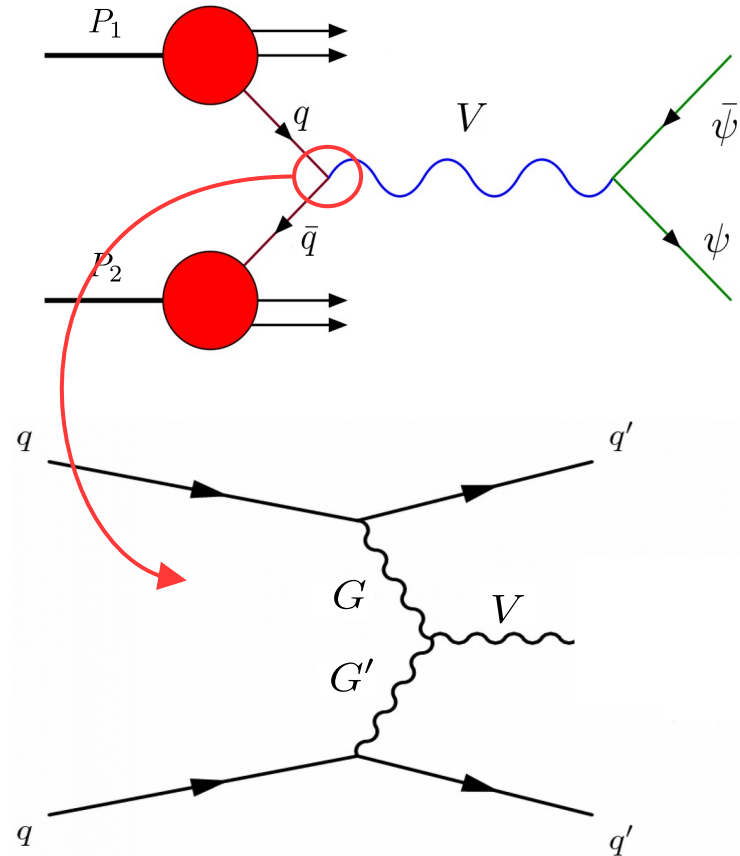
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- Parton luminosity
- Parton-level cross section



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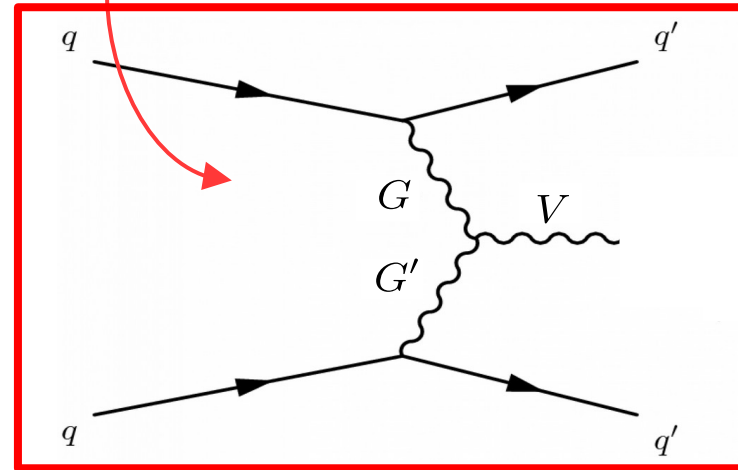
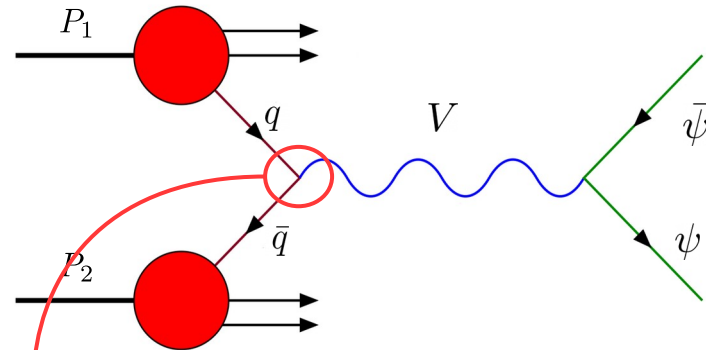
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A simplified model of heavy vector triplets

Simplified models are a useful framework for connecting a variety of BSM theories with experimental data. We introduce the vector

$$V^a \sim (\mathbf{1}, \mathbf{3}, 0), \quad a = 1, 2, 3$$

- Mass eigenstates V^0 and V^\pm
- Phenomenological Lagrangian describes interactions with the field content of the Standard Model:

$$\begin{aligned} \mathcal{L}_V \supset & -\frac{1}{4} D_{[\mu} V_{\nu]}^a D^{[\mu} V^{\nu]}{}^a + \frac{m_V^2}{2} V_\mu^a V^{\mu a} + i g_V c_H V_\mu^a H^\dagger \tau^a \overleftrightarrow{D}^\mu H \\ & + \frac{g^2}{g_V} c_q V_\mu^a \sum_q \bar{q}_L \gamma^\mu \tau^a q_L + \frac{g^2}{g_V} c_\ell V_\mu^a \sum_{e,\mu,\tau} \bar{\ell}_L \gamma^\mu \tau^a \ell_L, \end{aligned}$$

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$$\sigma \times BR \propto c_{q,H}^2 \times c_{q,H,\ell}^2$$

Production cross section

Is there a region in the simplified parameter space where VBF is the dominant production mode?

$$\sigma(pp \rightarrow V + X) = N_{\text{DY}} \sum_{q, \bar{q}' \in p} \frac{\Gamma_{V \rightarrow q\bar{q}'}}{M_V} \frac{dL_{q\bar{q}'}}{d\hat{s}} \Big|_{\hat{s}=M_V^2} + N_{\text{VBF}} \sum_{G, G' \in p} \frac{\Gamma_{V \rightarrow GG'}}{M_V} \frac{dL_{GG'}}{d\hat{s}} \Big|_{\hat{s}=M_V^2}$$

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Process-dependent constant – favours VBF

Differential parton luminosities – favours DY

- Splitting functions lead to an overall suppression of with respect to DY via factors of

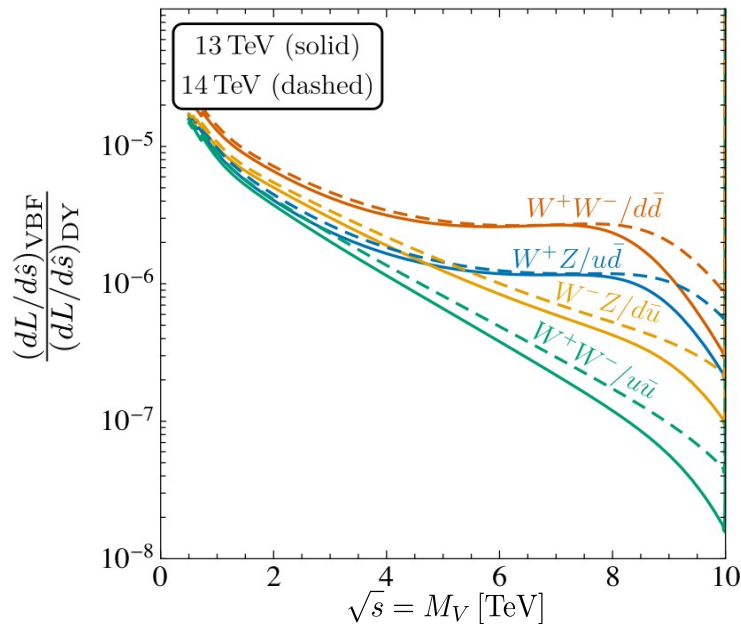
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Decay widths and c_q , c_H

The relationship between c_q and c_H determines VBF's viability

$$\Gamma_{V^\pm \rightarrow W_L^\pm Z_L} \simeq \Gamma_{V^0 \rightarrow W_L^+ W_L^-} \simeq \Gamma_{V^\pm \rightarrow W_L^\pm h} \simeq \Gamma_{V^0 \rightarrow Z_L h} \simeq \frac{g_V^2 c_H^2 M_V}{192\pi}$$

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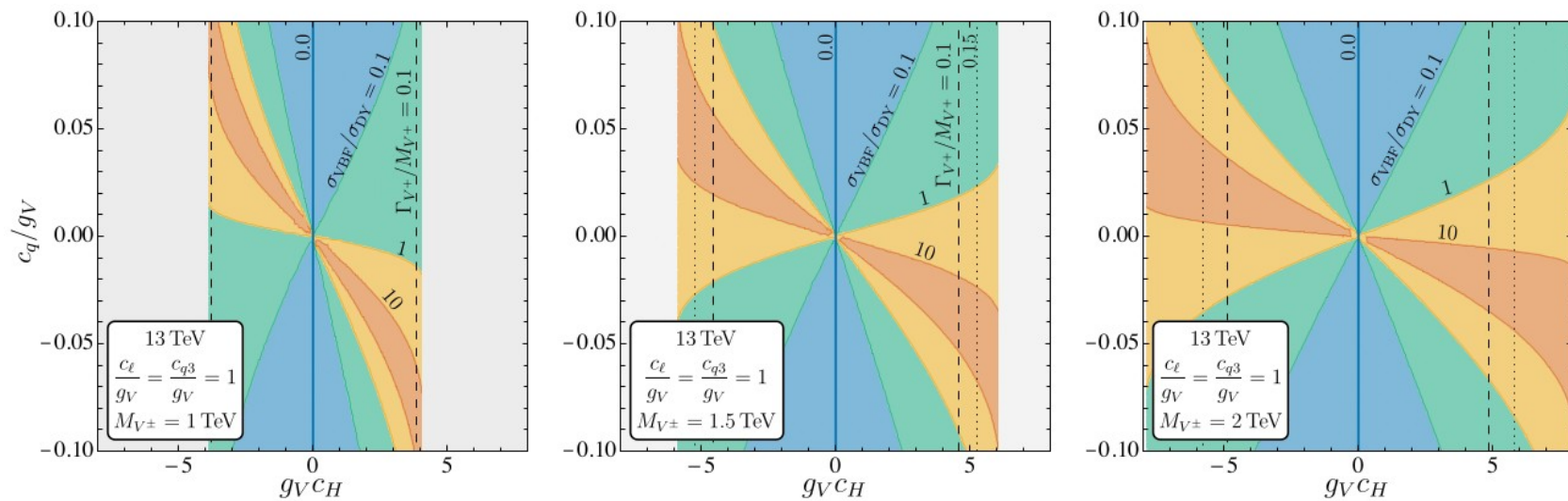
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Order one for
 $g_V \sim c_H \sim c_q \sim 1$

- For VBF to overcome DY (whilst still satisfying the narrow width approximation), we require that

$$c_q/g_V \lesssim 0.05$$

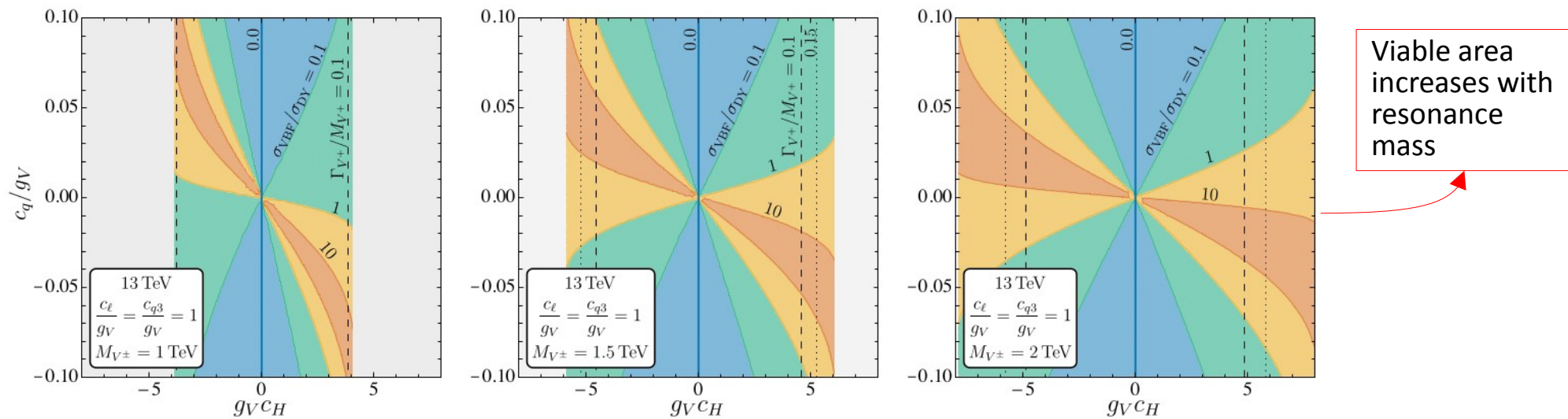
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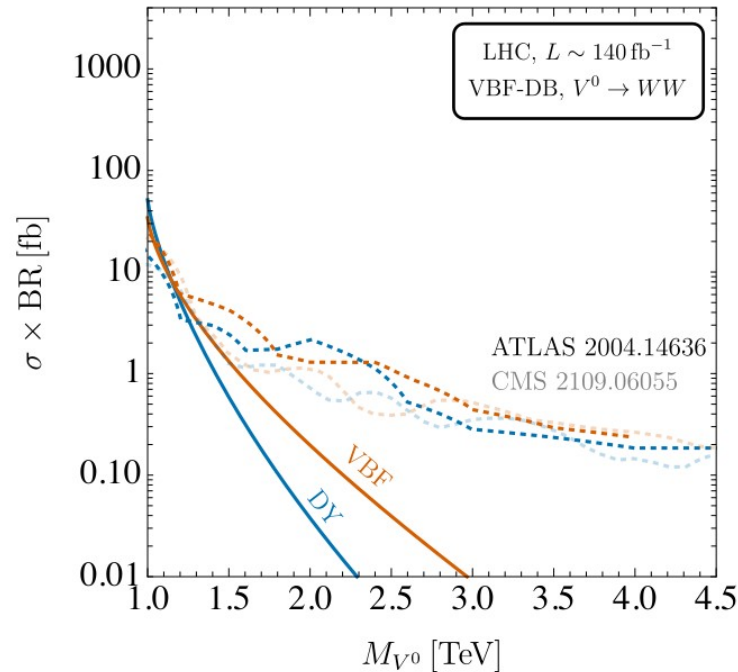
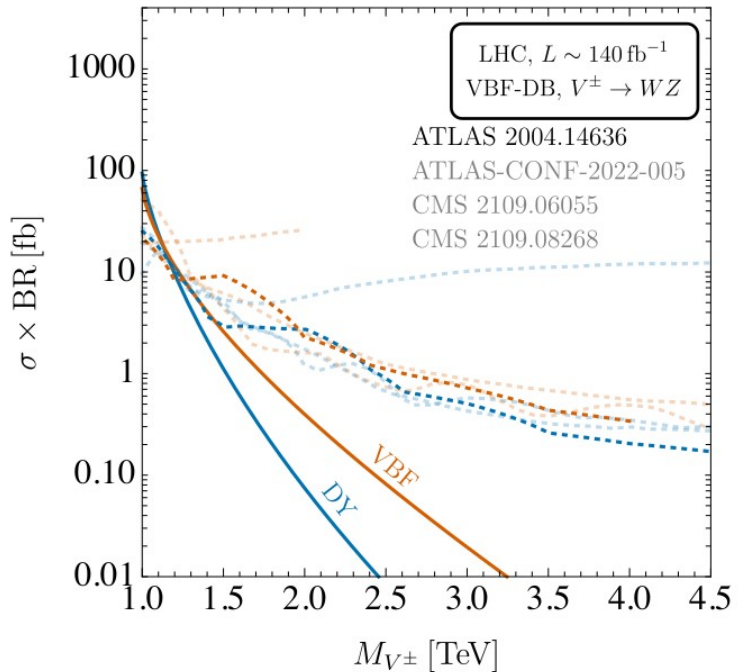


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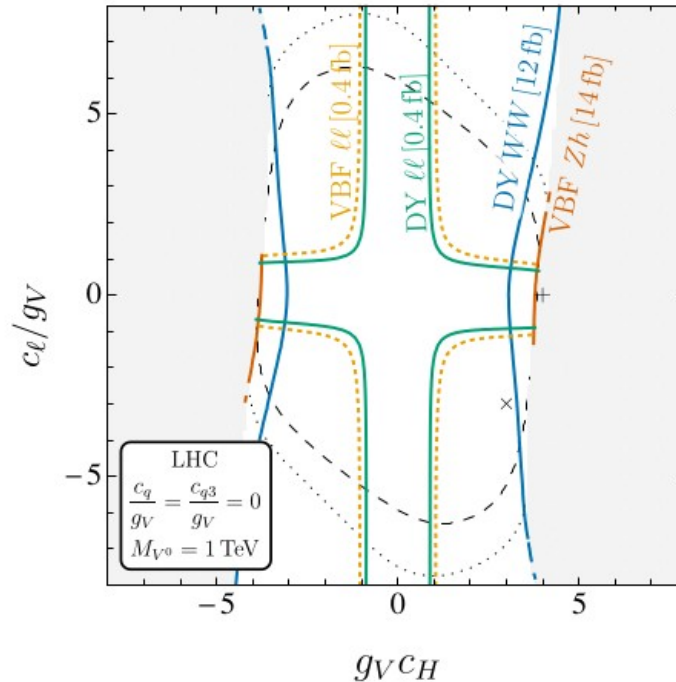
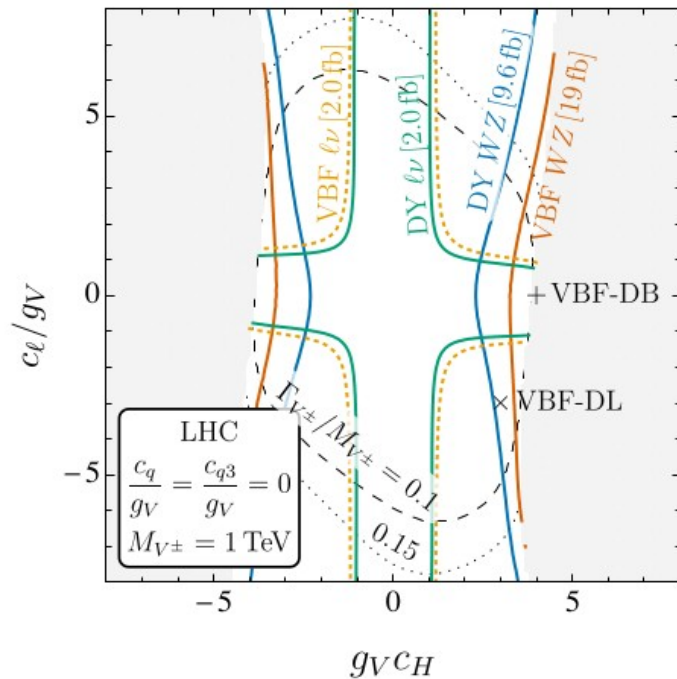
Current LHC limits

Experimental limits on the cross section are given for some final state. For a given resonance mass, what parameter combinations are not ruled out?



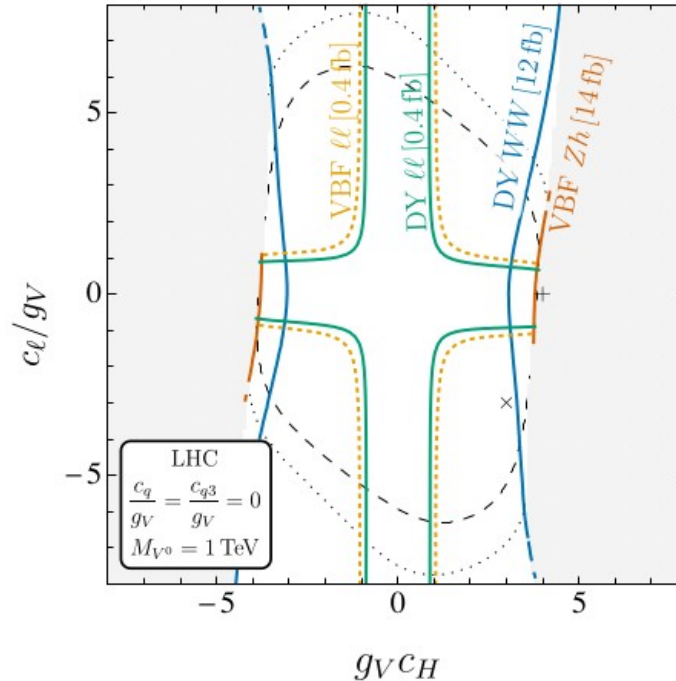
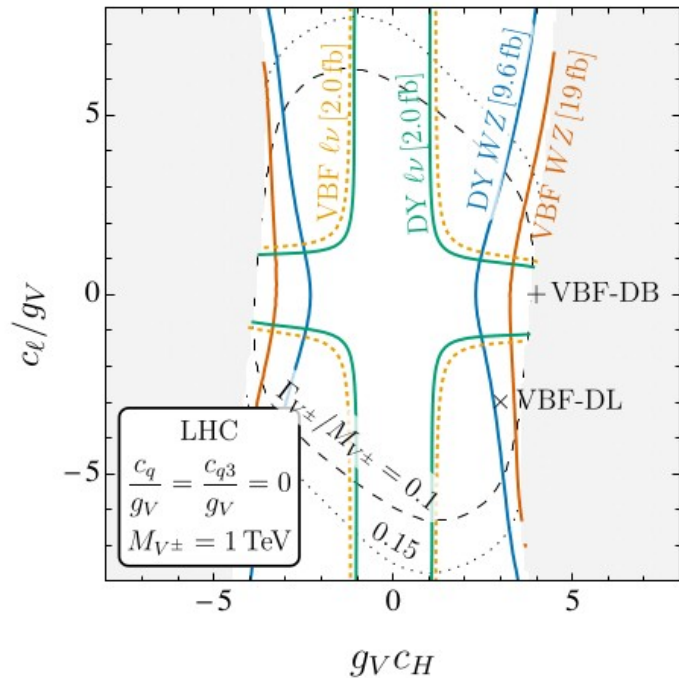
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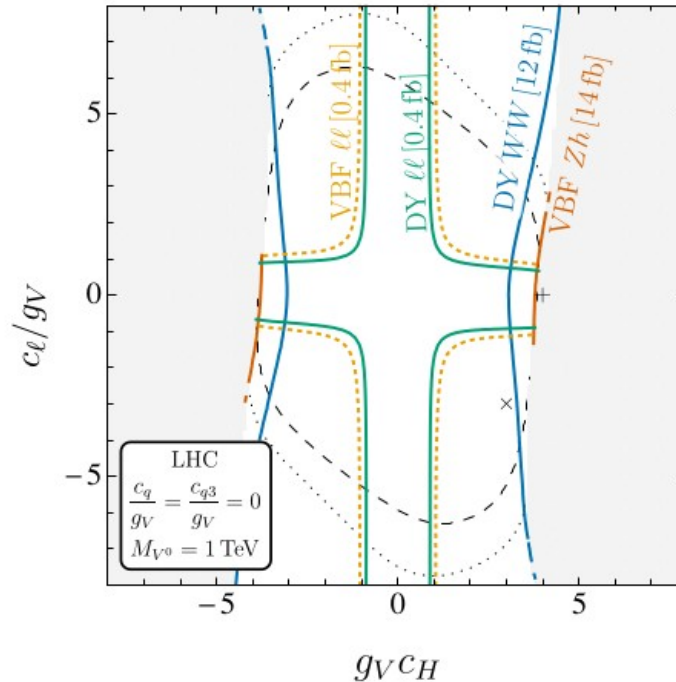
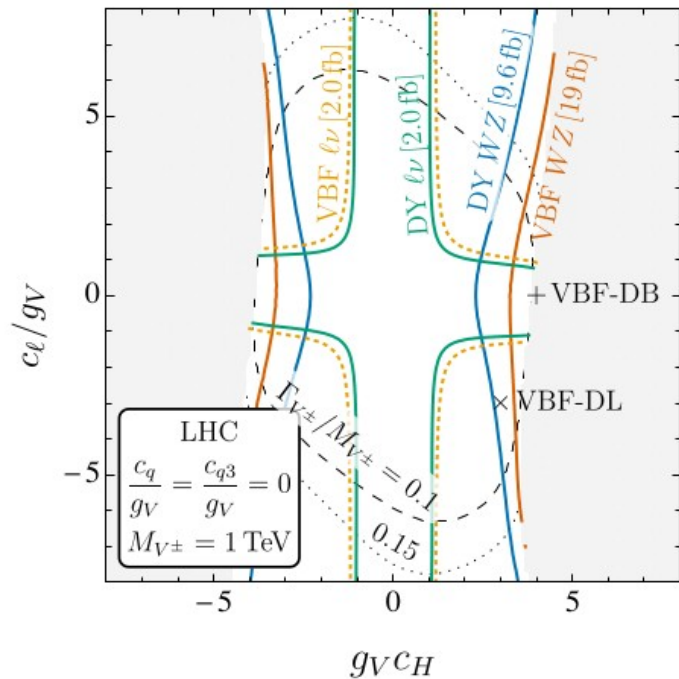


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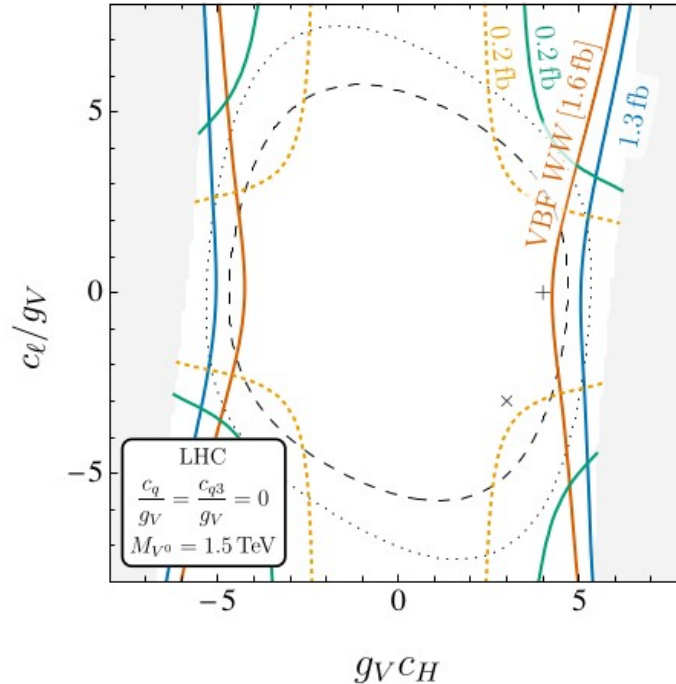
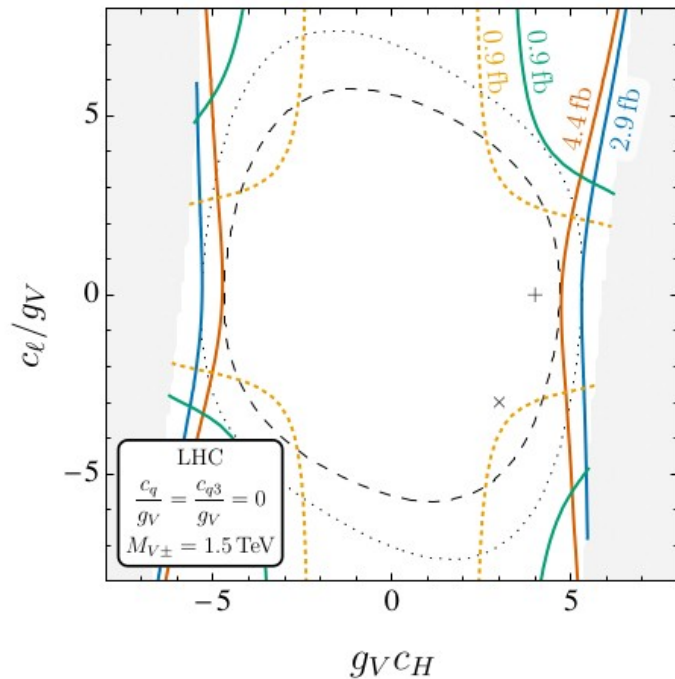
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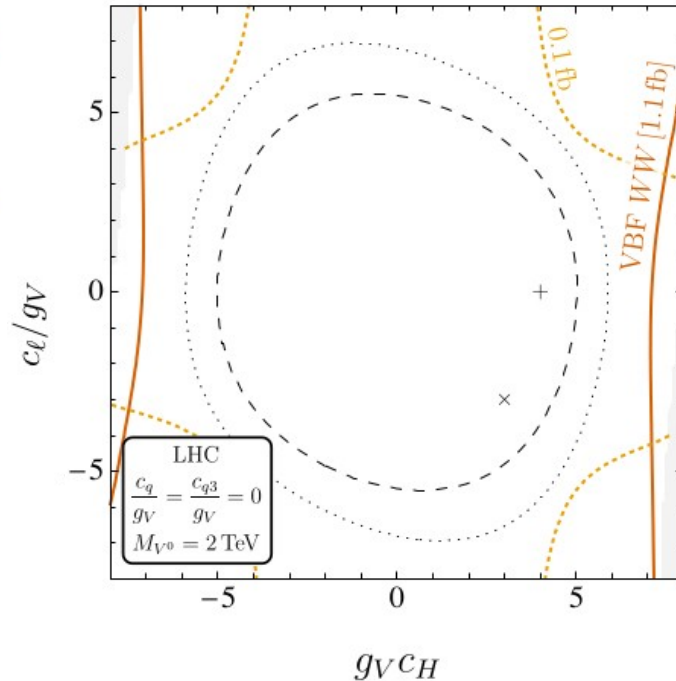
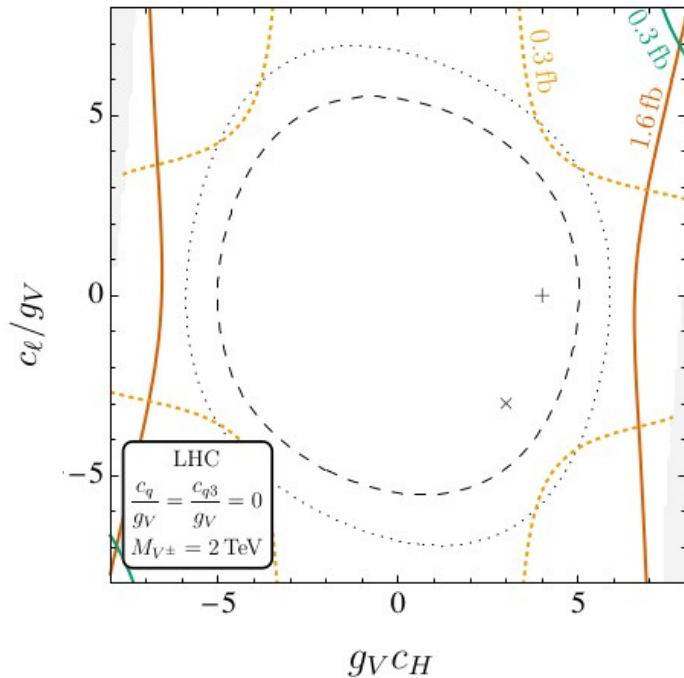
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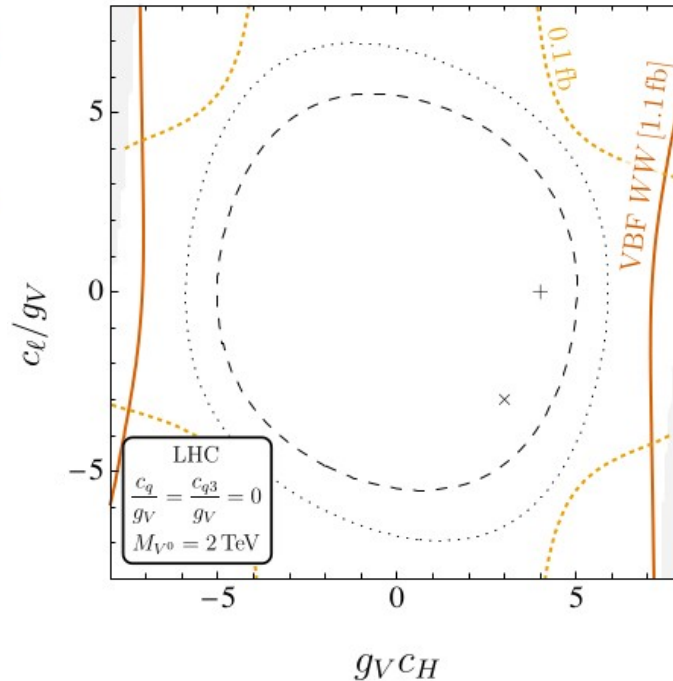
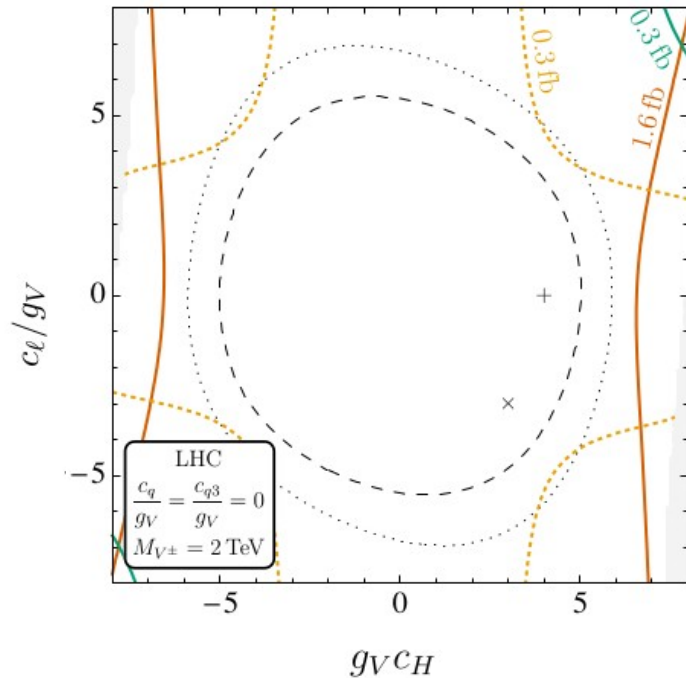
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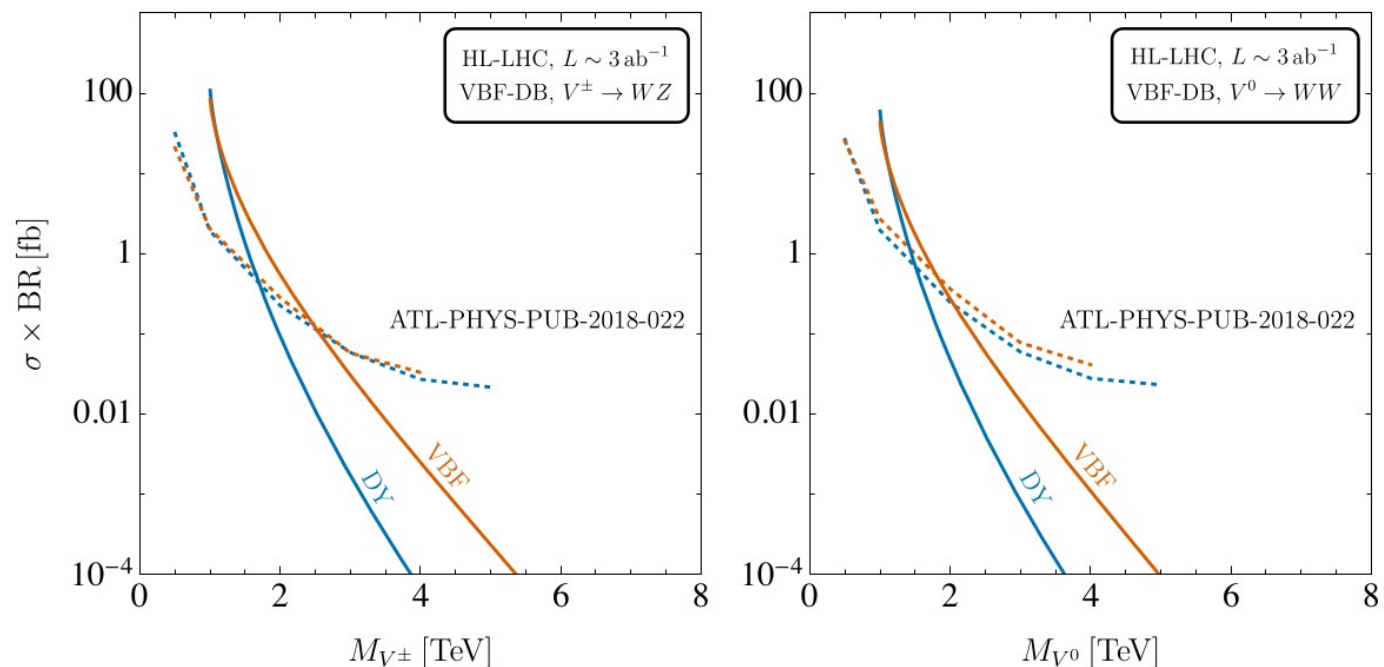
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As resonance mass increases, DY drops off and VBF becomes most constraining

Projected limits to the HL-LHC

In future, the LHC is well-placed to further leverage the dominant VBF production mode present in certain regions of the HVT parameter space. Look to HL-LHC:

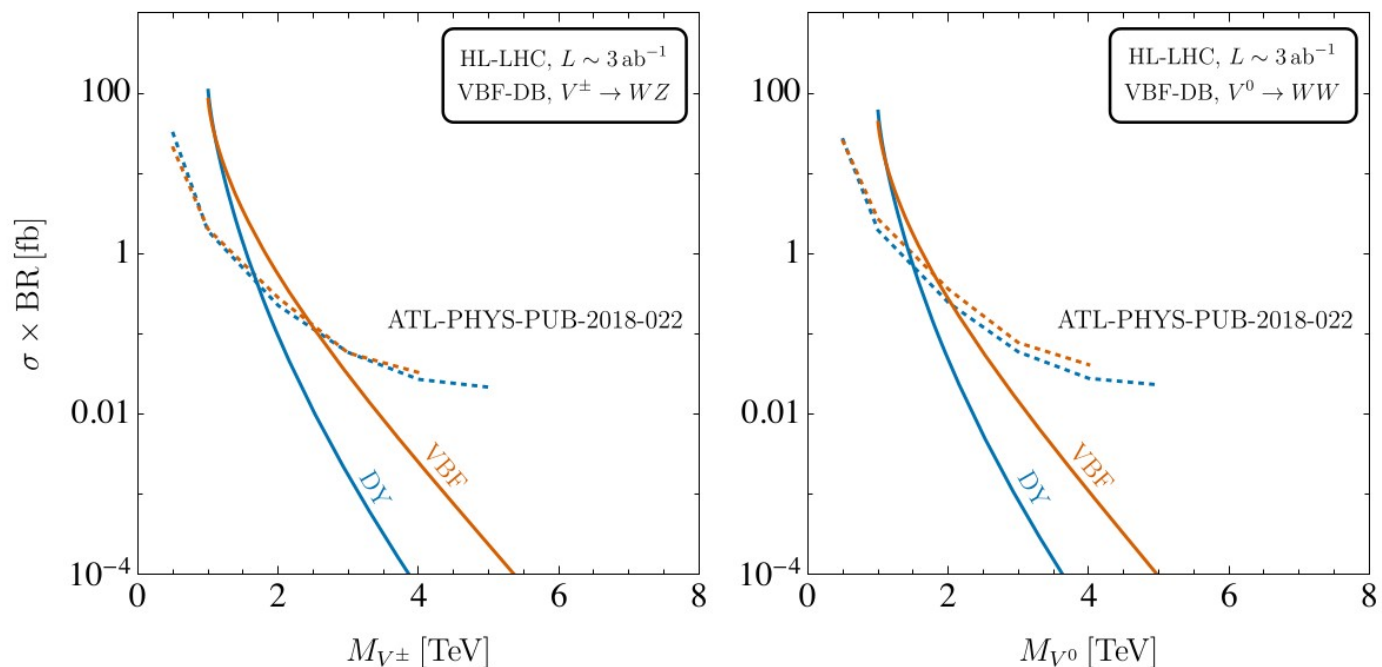


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No VBF di-lepton projections yet, but similar bound expected

Projection to 27 TeV HE-LHC?
100 TeV future circular collider?
We leave this to future work.

Summary

Vector boson fusion is relatively unexplored at the LHC, yet current experimental capabilities place it as a competitive production mode. A simplified model of heavy vector triplets highlights how VBF may be valuable to future searches.

- Heavy vectors with very small couplings to light quarks may be produced predominantly via VBF
- In this region of parameter space, LHC searches in the VBF production mode have a higher mass reach than those for DY at resonance masses above 1 TeV
- HL-LHC projections have an even higher mass reach for VBF

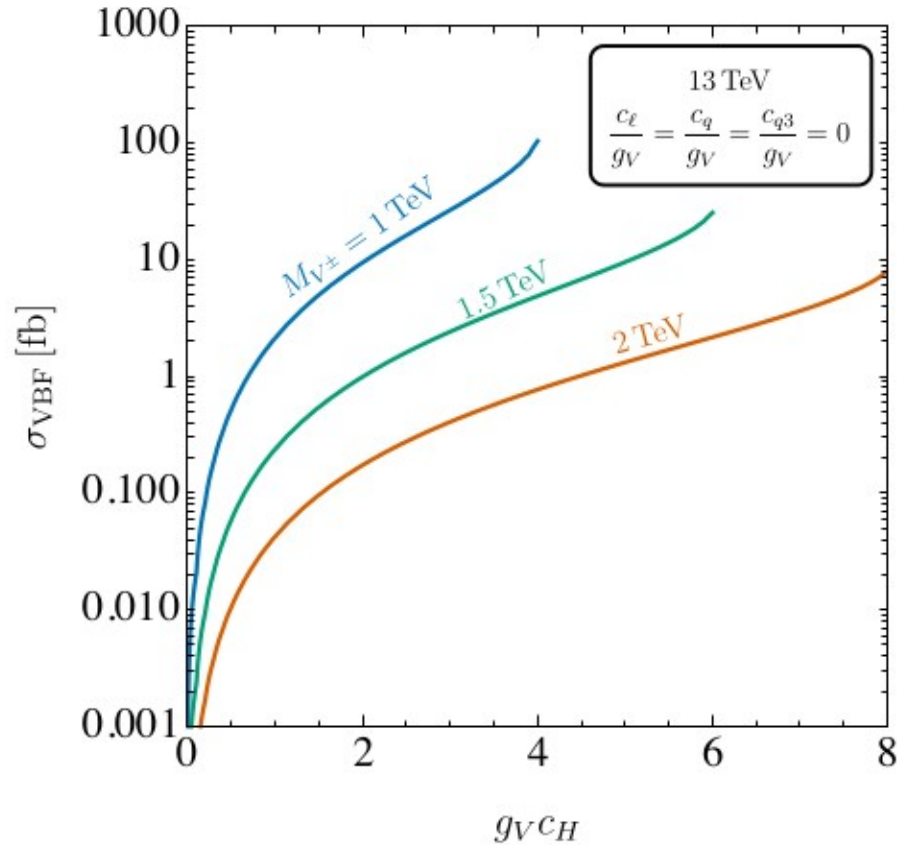
Next steps: How would VBF production fare at the HE-LHC or the FCC?

Thank you



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Higher masses



The area for which $\sigma_{VBF}/\sigma_{DY} > 1$ increases with resonance mass, but σ_{VBF} also decreases

- Parton luminosities decrease rapidly
- VBF searches will eventually lose sensitivity
- $g_V C_H \ll 1$ also difficult to probe

