

Update on Snowmass Benchmarks for Semi-Visible Jets

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Introduction

Goal: create benchmarks for semi-visible jets

- Assure experimental coverage, provide diversity of targets
- Focus: s-channel production of a confining hidden valley (HV) dark sector
 - Theoretically consistent and experimentally relevant
 - A range of r_{inv} and diversity of substructure
- Constraints: able to simulate using validated Pythia 8 HV module
 - Advances in Pythia 8 have been achieved, see below

Note: Same issues important for t-channel production

Notation: will not put “D” or “v” indices on hidden hadrons;

- all hadrons in this talk are dark sector/hidden valley hadrons.

One Hidden Valley Sector (QCD-like)

Dark Sector consists of

- SU(N) gauge theory with F quarks q_r^v of equal (current) mass m_q
 - Use m_π rather than m_q as parameter
- “Confinement scale” Λ
 - $SU(F)_L \times SU(F)_R \times U(1)_B \rightarrow SU(F)_D \times U(1)_B$ spontaneous breaking
 - $U(1)_A$ broken explicitly by anomaly
- Spin-0 bosons
 - F^2-1 flavor-adjoint pseudo-Nambu-Goldstones π , mass m_π
 - 1 flavor singlet scalar η' with mass $m_{\eta'}$ determined by m_π and anomaly
- Spin-1 bosons
 - F^2-1 flavor-adjoint ρ , mass m_ρ (determined by m_π, Λ)
 - 1 flavor singlet vector φ with mass m_φ
- Baryons (available only for $N=3$ in simulations, small effect $N>3$)
- Other hadrons (neglected in simulations)

One Class of Couplings (Z')

Dark Sector consists of

- SU(N) gauge theory with **F** quarks q_r^v of equal (current) mass m_q
 - Use m_π rather than m_q as parameter
- “Confinement scale” Λ

Coupled to SM by **leptophobic Z'**

- To evade Z' constraints
 - To assure all-hadronic final state [*otherwise different expt strategy.*]
-
- U(1)' charge Q_f of quark q_f^v , $f = 1, \dots, F$

The **FxF matrix Q = diag(Q₁, Q₂, ..., Q_F) controls all decays to SM**

- Ex.: If $\mathbf{Q} = \text{diag}(1, -1, 2, -2)$ then **3 diagonal mesons** \rightarrow SM
- Ex. If $\mathbf{Q} = \text{diag}(1, -1, 1, -1)$ then **only 1 diagonal meson** \rightarrow SM
- Ex.: If $\mathbf{Q} = \text{diag}(1, 1, 1, 1)$ then **only flavor-singlet meson** \rightarrow SM

• *New version of Pythia 8 HV module can handle this*

separateFlav=on

Update (beta) to Pythia 8

`separateFlav=off`

- Works as before (except for adjustment to soft π emission)
- Treats spin-0/1 diagonal/off-diagonal as four particle categories
 - Each category has one set of decay modes, lifetimes

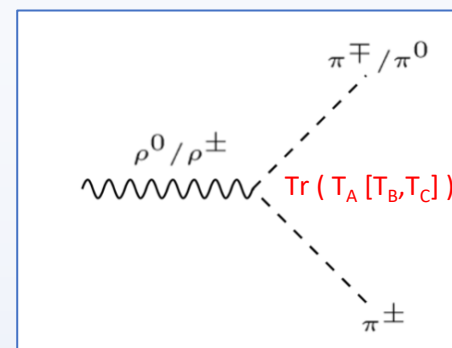
See cautions for
usage in prior
presentations!

`separateFlav=on`

- All F^2 spin-0 mesons π_{rs} and F^2 spin-1 mesons ρ_{rs} are now independent
 - Each can have its own mass, decay modes
 - Decay modes can vary, so accommodates many choices of \mathbf{Q} matrix
 - We have only validated case with masses equal
- Updates to singlets, baryons later in the talk

$$m_{\pi} < \frac{1}{2} m_{\rho}$$

In this case $\text{Br}(\rho \rightarrow \pi \pi) = 100\%$ (SM never competes)



- $r_{\text{inv}} = 1$ unless some π 's can decay
- Depending on \mathbf{Q} , some diag π 's may decay
 - (via offshell Z') to heavy SM $q q$ (as in SM $\pi \rightarrow e \nu$)
- All off-diagonal π are stable (unless additional flavor-violating physics)

$$r_{\text{inv}} = 1 - r_{\text{vis}} \geq 1 - F / (F^2) = 1 - 1/F$$

Substructure variables will depend on m_{π}/m_{ρ} .

- Does this impact efficiencies for SVJ identification?

Can r_{inv} be further reduced?

- Still under investigation but seems likely
 - Example: add an invisible axion a that allows $\pi_{12} \rightarrow a + q q$

Benchmark Models ($m_\pi < \frac{1}{2} m_\rho$)

separateFlav=off

- Diag/off-diag ρ 's decay to diag/off-diagonal π 's
- Diagonal π assigned a decay to qq
- Off-diagonal π stable

Benchmarks are currently available

separateFlav=on

- ρ decays need to be kept proper track of (long decay table)
- Allows for \mathbf{Q} -dependent details of diag π decay
- May be needed for certain flavor-changing decays of off-diag π 's

Benchmarks under development

(long decay tables must be written, checked)
(possibly overkill for Snowmass but will be needed later)

$$\rho_A \rightarrow \pi_B \pi_C \text{ proportional to } [\text{Tr} (T_A [T_B, T_C])]^2$$

T_A the generator matrices $\rho_{fg} = \rho_A (T_A)_{fg}$

$$m_{\pi} > \frac{1}{2} m_{\rho}$$

In this case $\rho \rightarrow \pi \pi$ is kinematically impossible

- All π 's, ρ 's decay to SM or are stable
 - All off-diag π stable
 - (Assuming no other source of $SU(F)$ breaking)
 - All diagonal π may be set LHC-stable (*late decay via two offshell Z' to $q q q q$*)
- All diagonal ρ decay (via offshell) Z' to $q q$
- All off-diagonal ρ are stable (?)

$$r_{\text{inv}} = 1 - r_{\text{vis}} = 1 - F / (F^2 + F^2) = 1 - 1/2F$$

$$m_{\pi} > \frac{1}{2} m_{\rho}$$

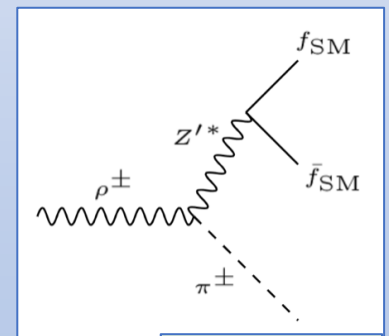
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 - All off-diag π stable
 - (Assuming no other source of $SU(F)$ breaking)
 - All diagonal π may be set LHC-stable (late decay via two offshell Z' to $q q q q$)
 - All diagonal ρ decay (via offshell) Z' to $q q$
 - ~~All off-diagonal ρ are stable~~ Off-diag ρ may decay via anomaly

$$\bullet \rho_{fg} \rightarrow \pi_{fg} + q q$$

$$r_{inv} = 1 - r_{vis} = \sim 0.8 \text{ (if } m_{\pi} \sim \frac{1}{2} m_{\rho}\text{)}$$

r_{inv} must be calculated by simulation

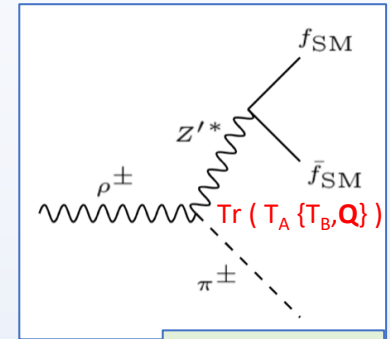


See for ex.
Berlin et al.
1801.05805

$$m_{\pi} > \frac{1}{2} m_{\rho}$$

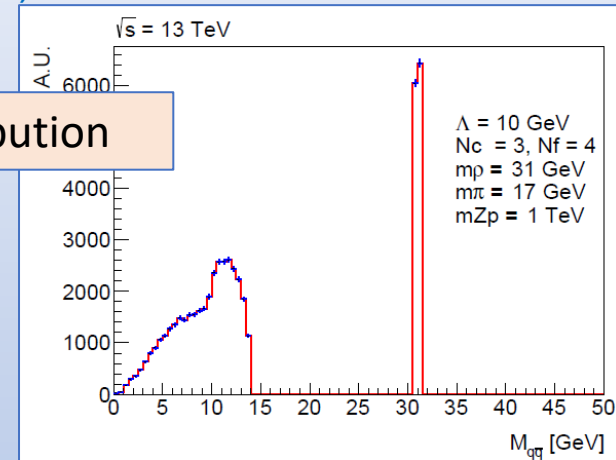
In this case $\rho \rightarrow \pi \pi$ is kinematically impossible

- All diagonal ρ decay (via offshell) Z' to $q q$
- Off-diag ρ may decay via anomaly
 - $\rho_{fg} \rightarrow \pi_{fg} + q q$
- **LLPs** if m_{ρ} too small, $m_{Z'}$ too big (e.g. 10 GeV vs 1 TeV)
- **Change in substructure:**
- r_{inv} now roughly 0.8 (if $m_{\pi} \sim \frac{1}{2} m_{\rho}$)



See for ex.
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1801.05805

q-qbar invt mass distribution



- **Cannot avoid:** decays will occur for **some** off-diag ρ_{rs} for any $F > 2$.

- If $\mathbf{Q} = \text{diag}(Q_1, Q_2, \dots, Q_F)$ is generic (no $|Q_r| = |Q_s|$) then **all** decay

- For $F > 2$, non-generic \mathbf{Q} , some states may be stable

Examples in backup

Benchmark Models ($m_\pi > \frac{1}{2} m_\rho$)

separateFlav=off

- Set all π 's stable
- Set diagonal $\rho \rightarrow qq$
- Set off-diagonal $\rho \rightarrow (qq + \text{off-diag } \pi)$ or invisible
 - Such as to obtain the correct fraction of off-diagonal ρ 's that are stable

Benchmarks are newly available

separateFlav=on

- Can be explicit about pattern of stable/unstable diag/off-diag ρ

$$\rho_A \rightarrow \pi_B (Z')^* \text{ prop to } [\text{Tr} (T_A \{T_B, \mathbf{Q}\})]^2$$

T_A the generator matrices $\rho_{fg} = \rho_A (T_A)_{fg}$

Benchmarks under development

(long decay tables must be written, checked)

Benchmark Models So Far

- Table of Parameters

separateFlav=off

Regime	N_c, N_f	Λ [GeV]	Q	m_π [GeV]	m_ρ [GeV]	Stable dark hadrons	Dark hadron decays
$m_\pi > 1/2 m_\rho$	3,4	10	(-1,2,3,-4)	17	31.77	All π	$\rho^0 \rightarrow q \bar{q}$ $\rho^\pm \rightarrow \pi^0 q \bar{q}$
$m_\pi < 1/2 m_\rho$	3,3	5	Various	3	12.55	0/1/2 π^0	$\rho^{0/\pm} \rightarrow \pi^{\pm/0} \pi^\mp$ $\pi^0 \rightarrow c \bar{c}$
	3,3	10	Various	6	26	0/1/2 π^0	$\rho^{0/\pm} \rightarrow \pi^{\pm/0} \pi^\mp$ $\pi^0 \rightarrow c \bar{c}$
	3,3	50	Various	30	125.5	0/1/2 π^0	$\rho^{0/\pm} \rightarrow \pi^{\pm/0} \pi^\mp$ $\pi^0 \rightarrow c \bar{c}$

probVec = 0.58

probVec = 0.5

Various Q will stabilize different # of diag π :

Ex: (1,1,-2)
gives 2 stable, 1 not

Different Q will also have different Z' branching fractions, not treated correctly with separateFlav=off, but small effect

Not Covered (see backup)

- `separateFlav=on` has been validated, ran out of time for benchmarks
 - Degenerate masses: needed for singlets, for some decay patterns, LLPs
 - Non-degenerate masses
- Flavor-singlets (need `separateFlav=on`)
 - Especially spin-0
- Baryons (N=3 only, not used yet)
- Hadronization studies needed
 - Lund string parameters
 - `probVec`, `probKeepEta1`, `probDiquark`

Backup Slides

separateFlav=on

Degenerate masses – sometimes hard to mock up with separateFlav=off

- e.g. if a new particle can affect both ρ and π decays in a flavor-dependent way

Cannot treat flavor singlets without it; especially important for small F

Essential for LLP searches

- multiple LLP's with different lifetimes

Essential for non-degenerate masses

- cascade decays
- different masses

Hadronization studies needed

probVec parameter (probability that fragmented hadron is spin-1)

- Theory/data suggest 0.75 for $m_\pi \sim m_\rho$, 0.5 in QCD
- We take 0.58 in $m_\pi > \frac{1}{2} m_\rho$ benchmarks, 0.5 in $m_\pi < \frac{1}{2} m_\rho$ benchmarks
- Should be varied

Standard Lund-model hadronization parameters

- For now we take the defaults
- Further discussion & studies are needed to investigate the unknowns and unknowables
- Also, what parameter should they scale with? Currently easy to set them wrong.

probKeepEta1 parameter (for separateFlav=on) not much studied yet

- See below

Baryons: off for now

Treatment of singlet states

Singlet ϕ will have similar mass to other spin-one states (as in QCD)

Singlet η' heavier than other spin-zero states unless $N \gg F$.

But singlets have

- Different quantum numbers
 - Different decay modes
 - Different lifetimes
-
- Details depend on Q and on spectrum.
 - Often singlet-adjoint mixing makes the states more similar
 - But this is not always the case.
 - Sometimes they can provide a separate signal.

More theory work needs to be done here.

Treatment of singlet spin-0 η'

This state is heavier than the spin-0 mesons because of the anomaly

- Our QCD analysis gives

$$(m_{\eta'})^2 \sim m_{\pi}^2 + \frac{F}{N} (3 \Lambda)^2$$

though the coefficient of Λ depends on how it is defined, needs more theory work

Pythia 8

- Define singlet pseudoscalar to be the hadron π_{FF} .
 - Could be issues with diag hadron flavor mixing, needs consideration in some models.
- Use parameter `probKeepEta1` to suppress production in hadronization

- If heavy and suppressed (i.e. $F \sim N$ or greater) then for $m_{\pi} < \frac{1}{2} m_{\rho}$

$$r_{\text{inv}} = 1 - 1/F \rightarrow 1 - 1/F+1$$

Baryons

- Huge effect for $N=2$, Pythia cannot currently simulate it
 - F^2 mesons are degenerate with $2F(F-1)$ baryons and antibaryons
 - Form a larger multiplet of $SU(2F)$
- 10% effect for $N=3$; new version of Pythia **can** simulate
 - Increases effective r_{inv} by 10%?
 - Implementation in Pythia still crude; not validated
- Very limited effect for $N>3$
 - Baryons simply too heavy

How \mathbf{Q} Affects ρ Decays

Diag state must have $\text{Tr}(T^a \mathbf{Q})$ nonzero to decay to SM

ρ_{rs} state's d^{abc} coeffs all vanish if $Q_r + Q_s = 0$

- $\mathbf{Q} = (-2, -1, 1, -2)$

- ρ_{14}, ρ_{23} stable, others decay

- $\mathbf{Q} = (-1, -1, 1, 1)$

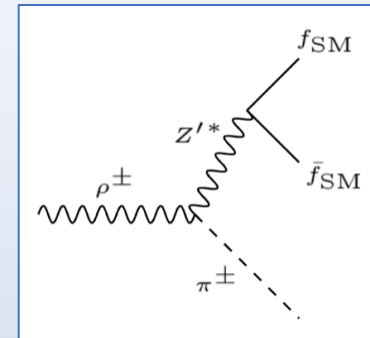
- Any ρ_{rs} with $r=1,2, s=3,4$ is stable

- Two diag ρ decay via 3-body because of preserved $SU(2) \times SU(2)$

- $\mathbf{Q} = (-1, -3, 2, 2)$

- All off-diag can decay

- One diag ρ decay via 3-body because of preserved $SU(2)$



See for ex.
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1801.05805

Future Beyond Snowmass

Within Reach:

- Non-degenerate quarks (all with $m < \text{or } \sim \Lambda$)
- More study of flavor-changing interactions
- t-channel (*need to introduce SM flavor physics constraints?*)
- Scalar s-channel
- Herwig/Sherpa engagement?

Pipe Dream

- $F=1$ (need wider range of mesons)
- $N=2$ (need baryons degenerate with mesons)
- Both light and heavy hidden quarks (affects hadronization, spectrum)
- $F=0$ (pure-gluon hadronization models) or all quarks heavy
- $Sp(N)$, $SO(N)$
- Better theory of hadronization in new regimes (e.g. chiral limit)