Kicks in charged black hole binaries

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Based on:

Raimon Luna, Gabriele Bozzola, Vitor Cardoso, Vasileios Paschalidis, Miguel Zilhão: Phys.Rev.D 106 (2022) 8, 8 • e-Print: 2207.06429 [gr-qc]

What are kicks?

Inspiralling black hole binaries emit:

Energy
Angular momentum

Leading to merger

What are kicks?

Inspiralling black hole binaries emit:

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 Angular momentum

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- Linear momentum \rightarrow Leading to recoil

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Inspiralling black hole binaries emit:

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 Angular momentum

 → Leading to merger
- Linear momentum → Leading to recoil

These are emitted in the form of:

- Gravitational waves
- If charged: Electromagnetic waves
- Possibly other fields

Gravitational wave kicks

 $I^{i} = G(945c^{6})^{-1}(22Q^{jk}B^{jki} - 12Q^{jk}B^{jik} - 12Q^{ji}B^{jkk})$

Jacob, D. Bekenstein: Astrophys.J. 183 (1973) 657-664

$$f(m_1/m_2) = (1 + m_2/m_1)^{-2} (1 + m_1/m_2)^{-3} (1 - m_1/m_2)$$



Gravitational wave kicks: numerical simulations



Jose A. Gonzalez, Ulrich Sperhake, Bernd Bruegmann, Mark Hannam, Sascha Husa: Phys.Rev.Lett. 98 (2007) 091101 • e-Print: gr-qc/0610154 [gr-qc]

Gravitational wave kicks: numerical simulations



Gravitational wave kicks: numerical simulations



Gravitational wave kicks: numerical simulations



Adding spin: Superkicks



Jose A. Gonzalez, Mark Hannam, Ulrich Sperhake, Bernd Bruegmann, Sascha Husa: Phys.Rev.Lett. 98 (2007) 231101 • e-Print: gr-qc/0702052 [gr-qc]

Adding charge: Electromagnetic kicks

$$\frac{dP_{\rm EM}^i}{dt} = \frac{1}{15} \ddot{D}^j \ddot{Q}^{ji} - \ddot{D}^j \ddot{M}^{ji}$$
$$\frac{dP_{\rm EM}}{dt} = \frac{4}{5} \left(\frac{M}{d}\right)^{9/2} \frac{\left(1 - \lambda_1 \lambda_2\right)^{5/2} \rho^2}{\left(1 + \rho\right)^5} \left(\lambda_1 - \lambda_2\right) \left(\lambda_1 + \rho \lambda_2\right)$$
$$M = m_1 + m_2, \quad \rho = \frac{m_1}{m_2}, \quad \lambda_i = \frac{q_i}{m_i}$$

Then the zeros should be at

$$\lambda_2 = \lambda_1, -\lambda_1/\rho$$

Are they?



Numerical framework: Einstein Toolkit / Cactus

Initial data for black hole binaries: **TwoChargedPunctures**

Analysis of quasilocal quantities: **QuasiLocalMeasuresEM**

> Gabriele Bozzola, Vasileios Paschalidis: Phys.Rev.D 99 (2019) 10, 104044 e-Print: 1903.01036 [gr-qc]

3+1 BSSN evolution of Einstein-Maxwell: Lean, Proca

Miguel Zilhão, Helvi Witek, Vitor Cardoso: Class.Quant.Grav. 32 (2015) 234003 e-Print: 1505.00797 [gr-qc]





Adding charge: Electromagnetic kicks

Newtonian / Keplerian prediction:



Equal masses: The Newtonian prediction for the zeros holds



Adding charge: Gravitational kicks







 $m_1 = 2m_2$: Charge contributes (weakly) to the magnitude of the gravitational kick

Trying to explain the deviation...



$$v_{\rm EM} = \alpha \frac{\left(1 - \lambda_1 \lambda_2\right)^{5/2} \rho^2}{\left(1 + \rho\right)^5} \left(\lambda_1 - \lambda_2\right) \left(\lambda_1 + \rho \lambda_2\right) + 2\beta (1 - \gamma \lambda_2) v_{\rm GW}.$$

Relative direction of kicks





Conclusions

- Charged black hole binaries have kicks both in the gravitational and electromagnetic channels
- For reasonable values of the charge, the maximum EM kicks are about 5% of the maximum GW kicks
- Charge induces GW kicks even for equal masses
- The Newtonian / Keplerian approximation for EM kicks holds when the masses are equal, but not when they are different
- More research is needed to understand this effect

Thank you for your attention