

CONF NOTE [LINK](#)

# Search for non-resonant production of semi-visible jets in ATLAS

*Deepak Kar & Sukanya Sinha*

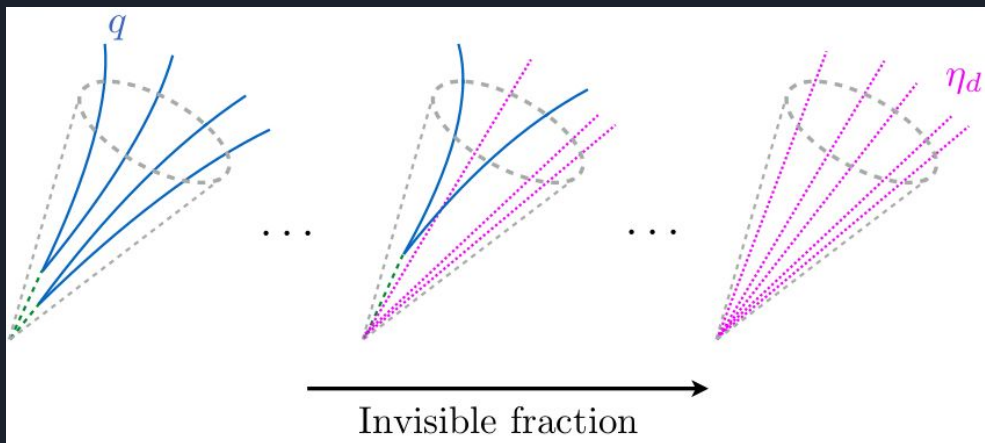
Semi-visible jets workshop,  
ETH Zurich

05/07/2022

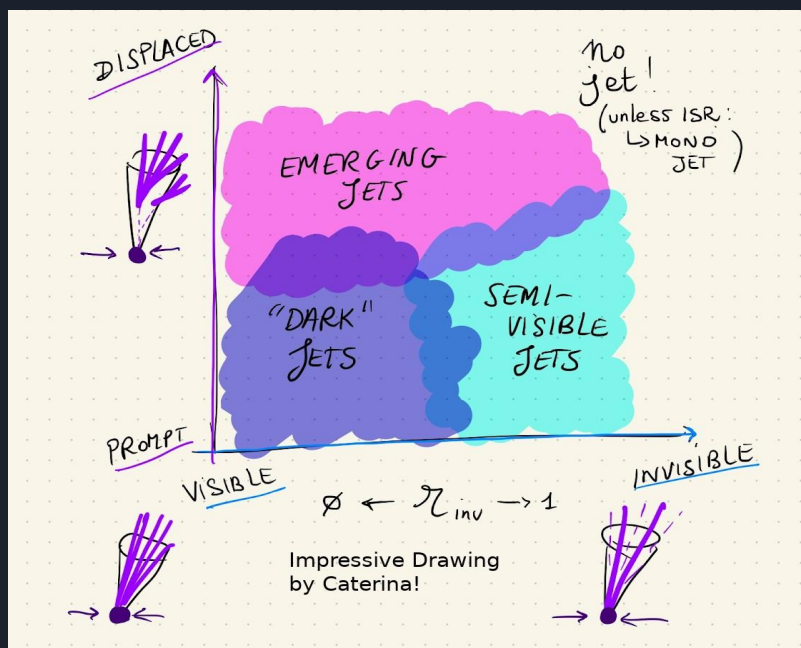
UNIVERSITY OF THE  
WITWATERSRAND,  
JOHANNESBURG



# Semi visible jet production

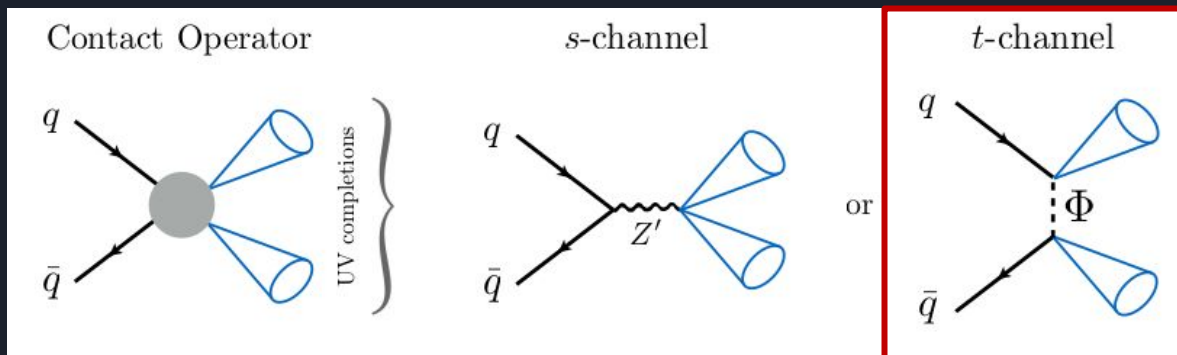


Link to the paper: <https://arxiv.org/abs/1707.05326>



## Model Parameters:

1.  $M_\phi$  = Mass of Scalar Bi-fundamental
2.  $r_{inv}$  = no. of stable invisible hadrons/ no. of hadrons
3.  $M_d$  = Mass of dark hadrons
4.  $\lambda = 2$  vertex coupling strength  $\sim x s^{-1/4}$



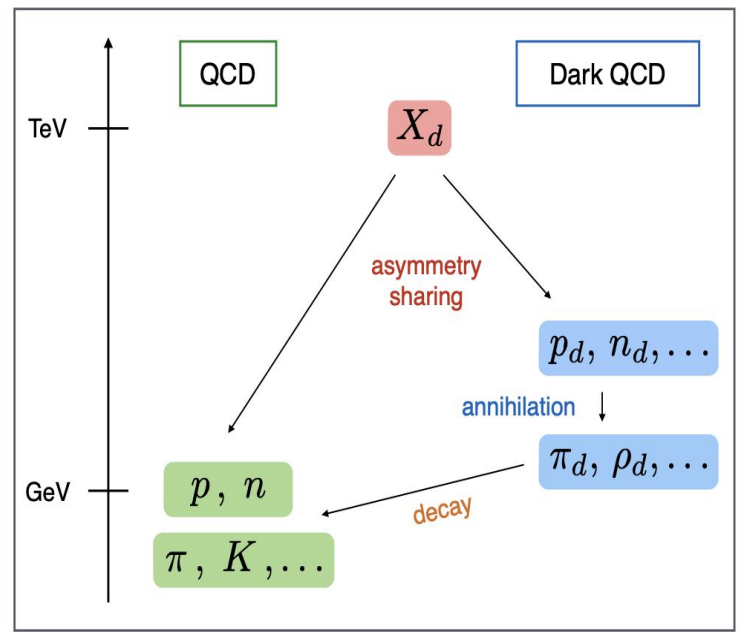
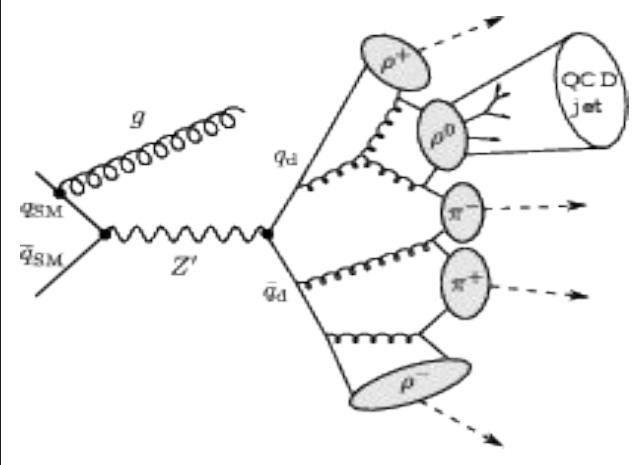
# Pythia 8 Hidden Valley Module

## Two different dark quark flavours

- ▶ Combine to form  $\pi^+$ ,  $\pi^-$ ,  $\pi^0$ , and  $\rho^+$ ,  $\rho^-$ ,  $\rho^0$  (assumed to be produced thrice as much as pions)
- ▶ Only  $\rho^0$  is unstable and (promptly) decays to SM quarks: more likely to decay to b pairs due to need for a mass insertion, to make the angular momentum conservation work out
- ▶ Other mesons are (collider-)stable  $\rightarrow$  invisible

Signal xs usually very low compared to BG  $\rightarrow$  More of a topology generator rather than full-blown theory model

Decay chains are rather complex and the showering model is still being developed by the theory community



Baryon and DM asymmetries shared via a mediator  $X_d$   $\rightarrow$  asymmetry in stable dark baryons.

The symmetric relic density annihilated into dark pions  $\rightarrow$  decay into SM particles.

Correct DM relic density obtained when dark baryon masses are in the 10 GeV range.

# HV Parameters (why and what)

Parameter	value
HiddenValley:N <sub>gauge</sub>	2
HiddenValley:FSR	on
HiddenValley:spinFv	0
HiddenValley:fragment	on
HiddenValley:pTminFSR	1.1
HiddenValley:probVector	0.75
HiddenValley:alphaOrder	1
HiddenValley:Lambda	0.1
HiddenValley:alphaFSR	1.0

All parameters set as per theory paper

Running HV alpha selected, after discussions with theorists in different platforms (Snowmass, LHC DMWG). Advised to be the safest choice for first analysis.

# Analysis Samples

**Signal:** Madgraph + Pythia8 with  $R_{\text{inv}} = 0.2, 0.4, 0.6, 0.8$  and  $M_d = 10 \text{ GeV}$ ,  $M_\phi = 1 - 5 \text{ TeV}$  (in 500 GeV intervals)

Background samples:

Process	Generator	ME order	PDF	Parton shower	Tune
Multijet	PYTHIA 8.230	LO	NNPDF23LO	-	A14
$W/Z$ +jets	SHERPA 2.2.11 [17, 18]	NLO (up to 2 jets)	NNPDF3.0NNLO	SHERPA MEPSatNLO	SHERPA
$t\bar{t}$	POWHEG-Box 2	NLO	NNPDF3.0NLO	PYTHIA 8.230 with NNPDF23LO	A14
Single top	POWHEG-Box 2	NLO	NNPDF3.0NLO	PYTHIA 8.230 with NNPDF23LO	A14
Diboson	SHERPA 2.2.1	NLO (up to 2 jets)	NNPDF3.0NNLO	SHERPA MEPSatNLO	SHERPA

Data samples:

2015:  $3.20 \pm 0.07 \text{ fb}^{-1}$

2016:  $32.9 \pm 0.72 \text{ fb}^{-1}$

2017:  $44.3 \pm 1.06 \text{ fb}^{-1}$

2018:  $59.9 \pm 1.19 \text{ fb}^{-1}$



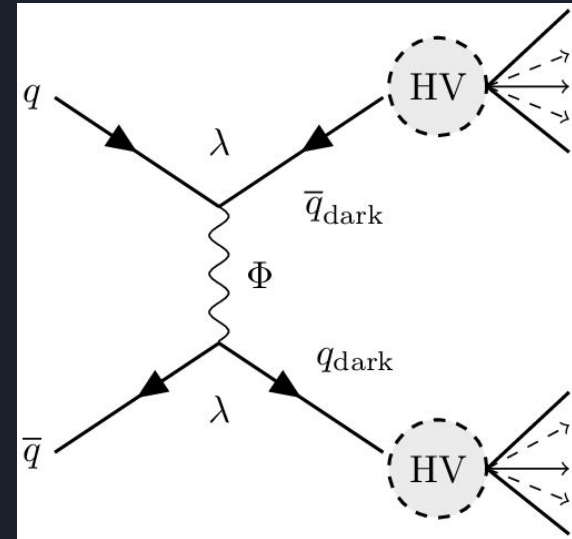
# Analysis preselections

1. Looking at events with MET trigger,  $\text{MET} > 200 \text{ GeV}$
2. At least 2 jets with leading jet  $p_T > 250 \text{ GeV}$ , other jet  $p_T > 30 \text{ GeV}$  and  $|\eta| < 2.8$
3. No electrons / muons ( $p_T > 7 \text{ GeV}$ )
4. Dead-tile correction, LAr, SCT error veto, NCB treatment for data
5.  $\Delta\Phi(\text{closest jet, MET}) < 2.0$
6. B-tagged jets  $< 2$
7. Tau jets ( $p_T > 20 \text{ GeV}$ )  $< 1$

The signal events typically have high MET — better sensitivity for signals with higher mediator masses and  $R_{\text{inv}}$  fraction ( $M_\phi > 3 \text{ TeV}$ ,  $R_{\text{inv}} > 0.4$ ) if search is performed at a high MET range.

*$\text{MET} > 600 \text{ GeV}$  and  $H_T > 600 \text{ GeV}$  after the nominal selection defined as signal region (SR).*

*The corresponding 1L, 1L1B and 2L control regions (CR) defined using leptonic selections (and leptons added back to MET) with same MET and  $H_T$  requirements as in SR.*



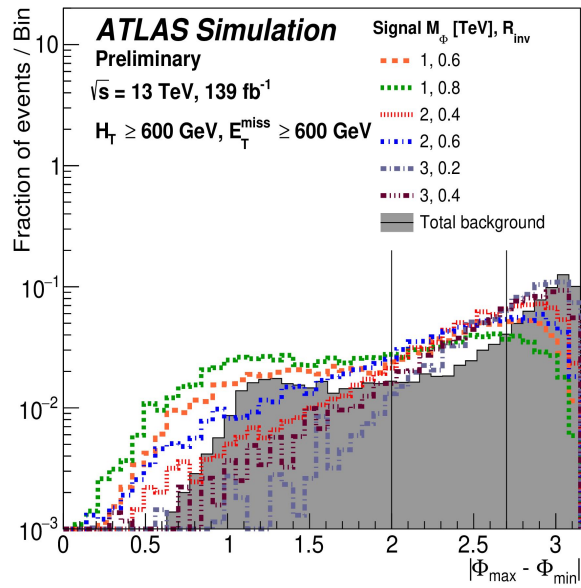
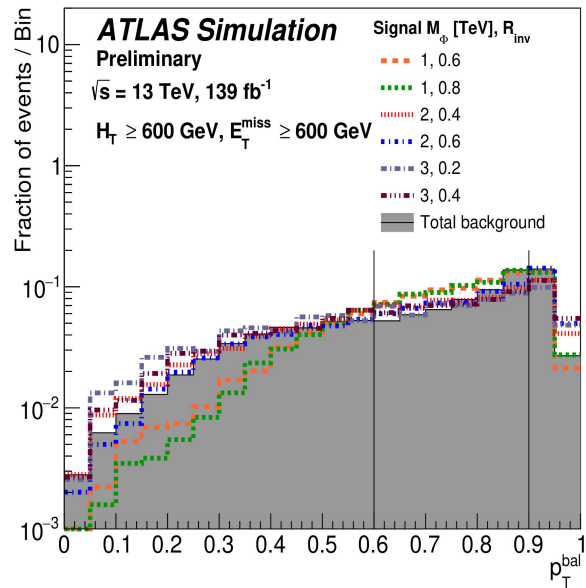
The resultant MET direction is aligned along one of the jets.

# Key Observables

1. the  $p_T$  balance between the closest jet ( $j_1$ ) and farthest jet ( $j_2$ ) from  $E_T^{\text{miss}}$  direction, termed as  $p_T^{\text{bal}}$ :

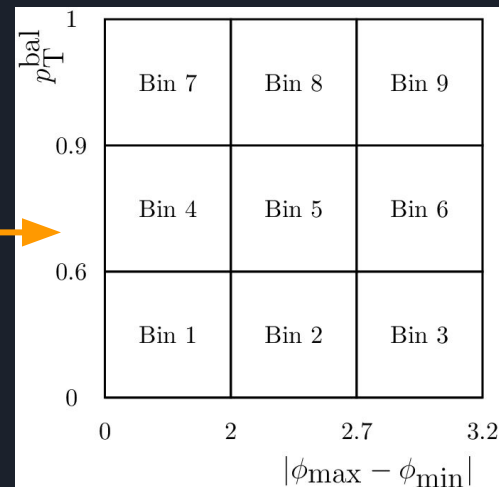
$$p_T^{\text{bal}} = \frac{|\vec{p}_T(j_1) + \vec{p}_T(j_2)|}{|\vec{p}_T(j_1)| + |\vec{p}_T(j_2)|}$$

2. the difference in the azimuthal angle between  $j_1$  and  $j_2$  as defined above, termed  $|\phi_{\text{max}} - \phi_{\text{min}}|$ :



Yields in these nine bins ( (3 max-minphi bins)x(3  $p_T$  balance bins) ) are treated as the observables in different regions.

Contribution of different backgrounds is different for each of the bins, so the signal-depleted but specific background-enriched bins in the SR itself are used to estimate the background.



# Systematic Uncertainties



- Largest contribution from theoretical components (~25% on signal cross-sections mostly from scale variations).
  - Apart from usual scale and PDF variations, also included  $t\bar{t}$  and single top I/FSR variation, ME and PS variation by using alternate generators, DR/DS subtraction scheme difference for  $tW$ .
  - $W$ +jets split into heavy and light flavour, and an extra 30% normalisation uncertainty was used for heavy flavour, since Sherpa 2.2 has been found to underestimate  $V$ +heavy-flavour by about a factor of 1.3
  - There is known mismodelling in multijet processes, so a data-otherMC vs multijet reweighting is done in  $250 < MET < 300$  GeV in 9bin distribution → the reweighting factors are obtained in bin 3,6,9, and applied to 1-3, 4-6, 7-9 respectively.
- Standard experimental uncertainties: JES/JER, MET soft term, luminosity, PU reweighting, flavour tagging, reconstruction/identification/isolation/trigger efficiencies on muon and tau leptons.



# Statistical analysis

- To determine individual  $N_i \rightarrow$  simultaneous binned maximum likelihood function fit is performed using product of all PDF<sub>*i*</sub> and nine bin yields, using the MC templates
- The fit maximises the likelihood function constructed from the product of all relevant Poisson and Gaussian pdfs. The scale factors for the individual backgrounds,  $k^{\text{SF}}$  are determined from the fit:

$$\mathcal{L}(\mu, \theta) = \prod_{j \in 36 \text{ bins}} \text{Poisson}(N_j^{\text{obs}} | \mu N_j^{\text{sig}}(\theta)) + \sum_{i \in \text{bg}} k_i^{\text{SF}} \times N_{i,j}^{\text{bg}}(\theta) \times f^{\text{constr}}(\theta)$$

Here,  $N_j^{\text{obs}}$  is the observed total yield in the bin  $j$ , signal strength is  $\mu$ , systematic uncertainties in the fit are denoted by nuisance parameters  $\theta$ ,  $N_j^{\text{bg}}(\theta)$  is the combined background yield in bin  $j$

The term  $f_{\text{constr}}(\theta)$  represents the product of the gaussian constraints applied to each of the nuisance parameters,

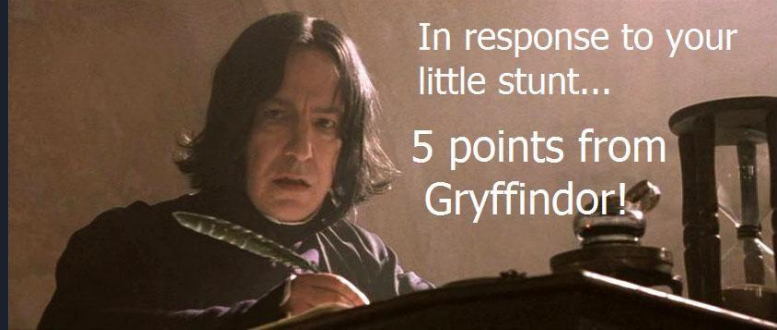
$$f_{\text{constr}}(\theta) = \prod_{k=1}^M G(\theta_k^0 - \theta_k)$$



# Fit Strategy

- The signal region (0L SR) 9-binned histograms are fitted simultaneously with 1LCR, 1L1BCR and 2LCR.
- Dedicated systematic uncertainties are applied to the 0L SR, 1L CR, 1L1BCR & 2L CR 9-binned histogram.

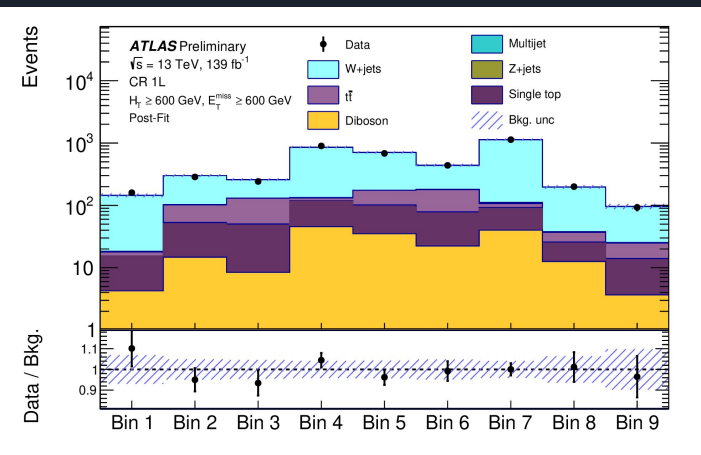
The largest post-fit effects on the shape are signal modelling uncertainties up to 8%, Z+jets modelling uncertainties up to 7%, and top process modelling uncertainties up to 4%. The rest of the contributions are less than 2%.



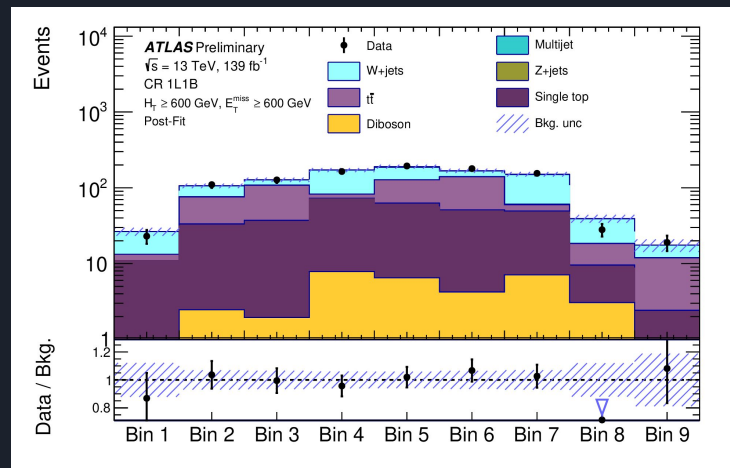
Results...



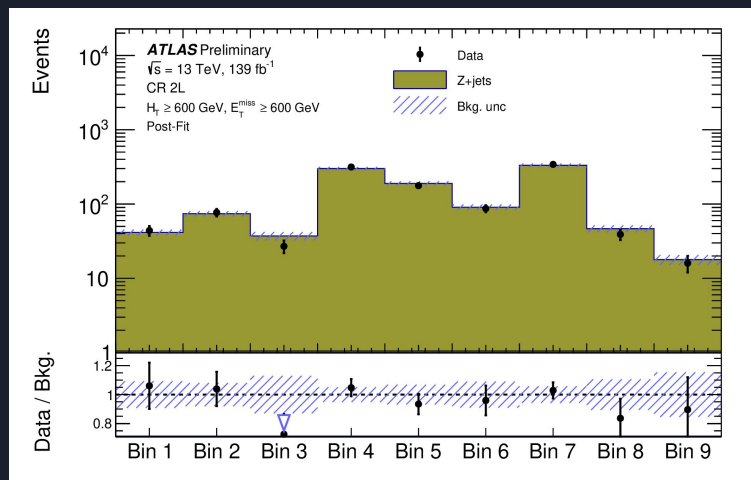
# 9-bin histograms - CR



CR 1L1B: used to control  $t\bar{t}b\bar{b}$  / single top background contributions

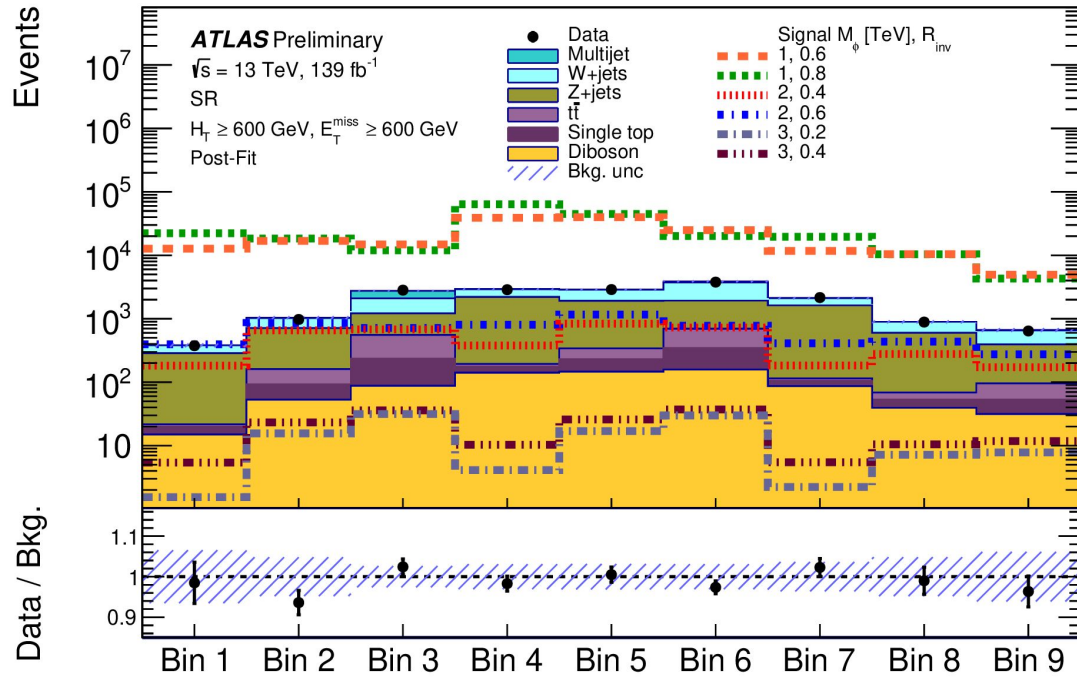


CR 1L: used to control W+jets / single top background contributions



CR 2L: used to control Z+jets background contributions

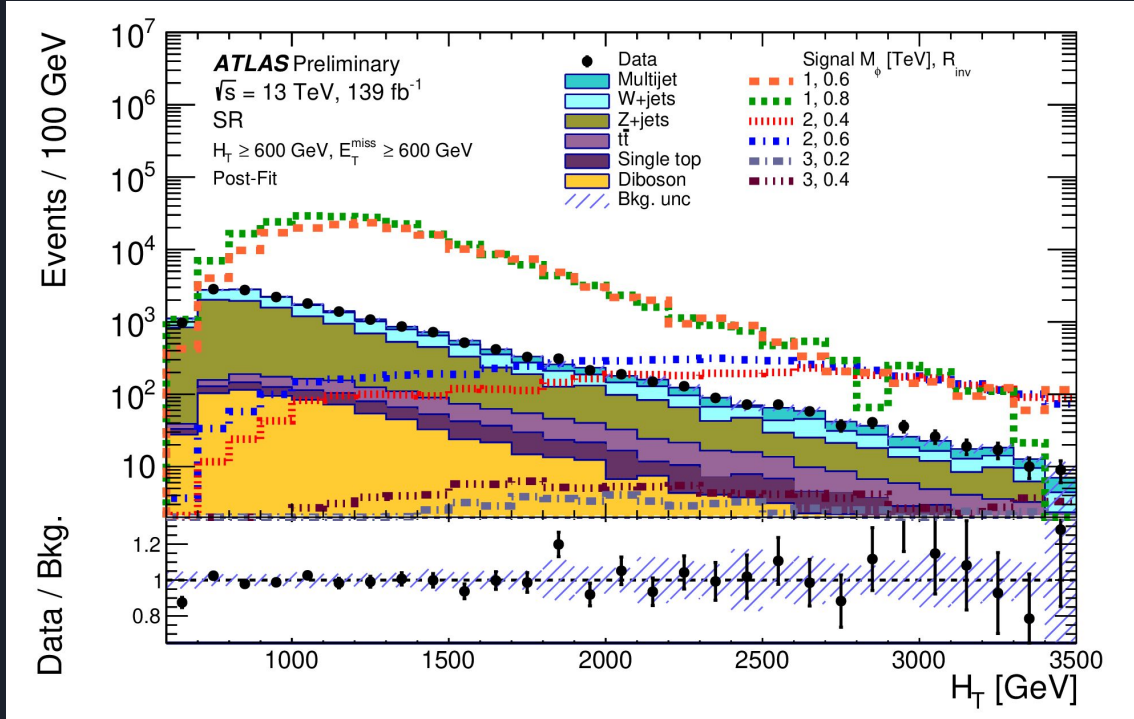
# 9-bin histograms - SR



We haven't found new physics :-)

Excellent agreement between data and estimated background...

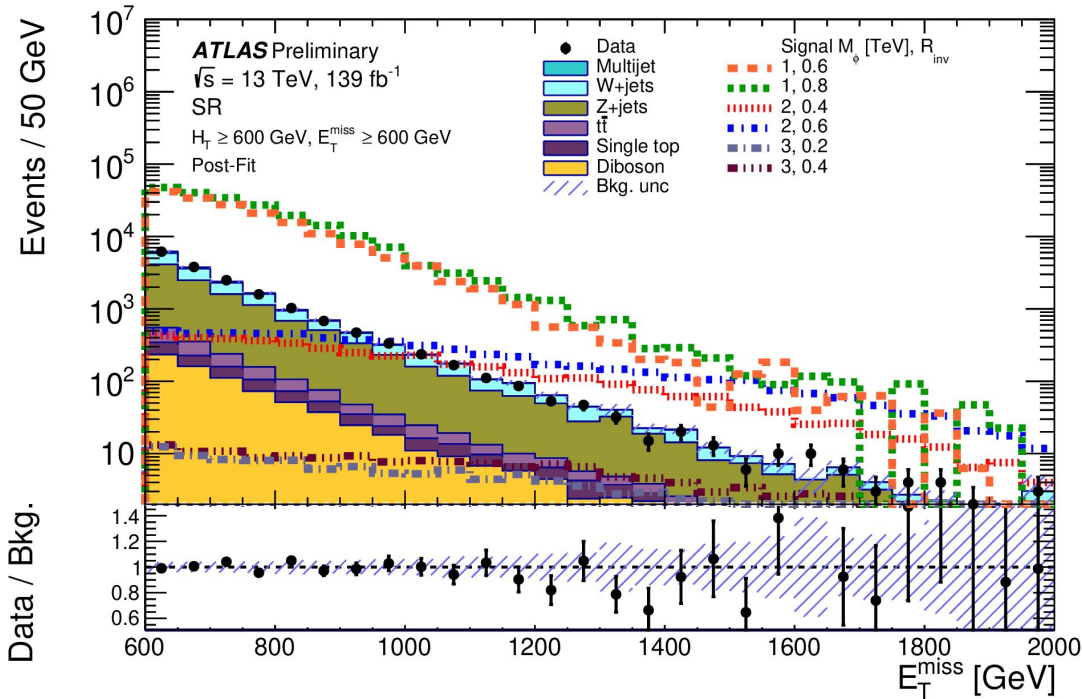
# 9-bin histograms - Kinematic distributions



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Excellent agreement between data and estimated background...

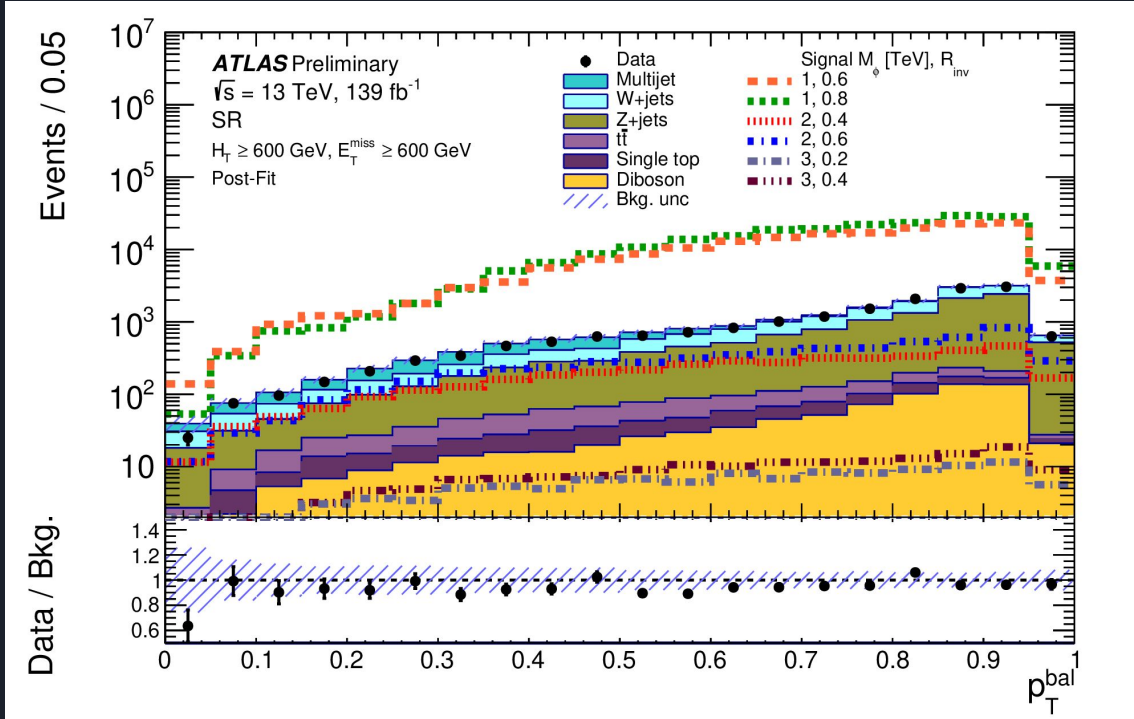
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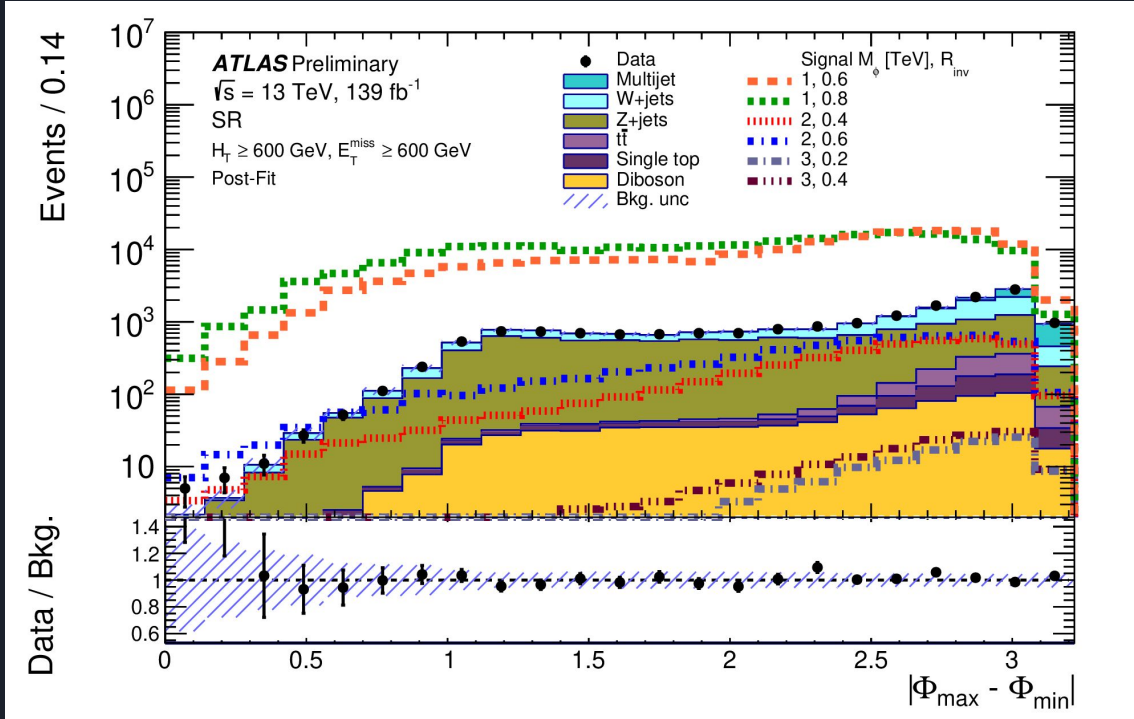


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# 9-bin histograms - Kinematic distributions



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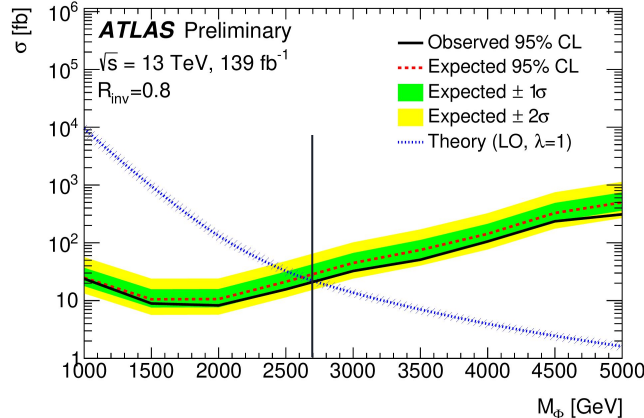
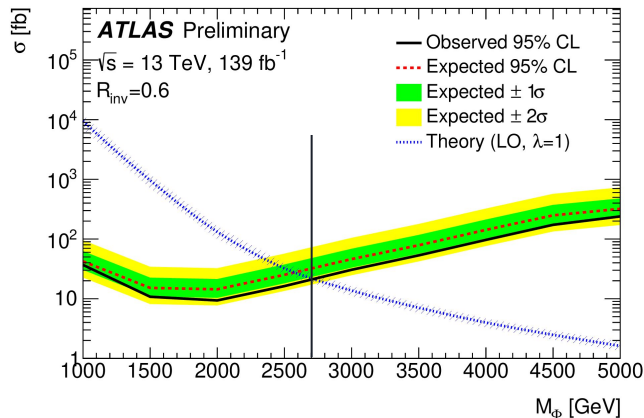
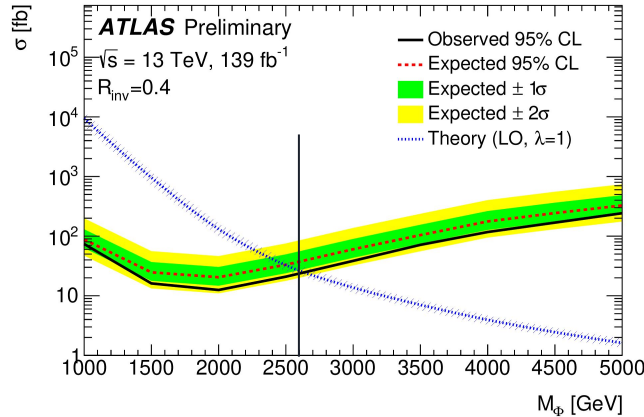
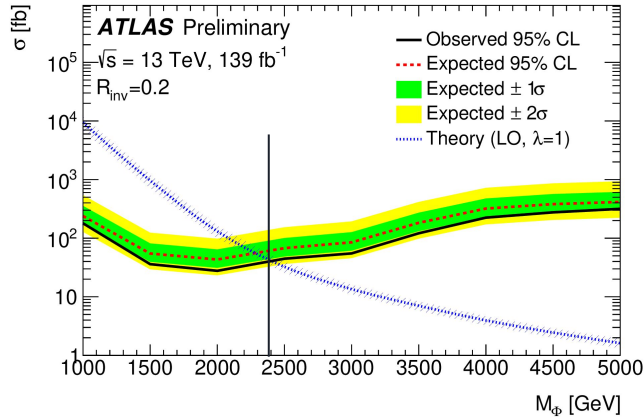
Excellent agreement between data and estimated background...

# Some tables to stare at....

Process	$k_i^{\text{SF}}$
Z+jets	$1.18 \pm 0.05$
W+jets	$1.09 \pm 0.04$
Top processes	$0.64 \pm 0.04$
Multijet	$1.10 \pm 0.04$

	SR	CR 1L	CR 1L1B	CR2L
Z+jets	$8490 \pm 260$	$11.6 \pm 1.4$	$2.2 \pm 0.6$	$1120 \pm 40$
W+jets	$5820 \pm 300$	$3190 \pm 170$	$351 \pm 41$	-
$t\bar{t}$	$920 \pm 70$	$350 \pm 29$	$304 \pm 24$	-
Single top	$533 \pm 47$	$358 \pm 29$	$290 \pm 25$	-
Multijet	$850 \pm 100$	$28 \pm 11$	$7.7 \pm 3.1$	-
Diboson	$757 \pm 10$	$187 \pm 9$	$34.5 \pm 2.8$	-
Total background	$17\,370 \pm 280$	$4120 \pm 100$	$990 \pm 35$	$1120 \pm 40$
Data	17 388	4136	999	1124
Signal:				
$M_\phi=1$ TeV, $R_{\text{inv}}=0.6$	$180\,000 \pm 40\,000$	-	-	-
$M_\phi=1$ TeV, $R_{\text{inv}}=0.8$	$220\,000 \pm 50\,000$	-	-	-
$M_\phi=2$ TeV, $R_{\text{inv}}=0.4$	$4100 \pm 900$	-	-	-
$M_\phi=2$ TeV, $R_{\text{inv}}=0.6$	$5800 \pm 1300$	-	-	-
$M_\phi=3$ TeV, $R_{\text{inv}}=0.2$	$117 \pm 26$	-	-	-
$M_\phi=3$ TeV, $R_{\text{inv}}=0.4$	$170 \pm 40$	-	-	-

# 95% CL Limits on mediator mass



Assuming unity coupling between  $q - \phi - q_d$ , can exclude mediator masses upto 2.7 TeV, subject to values of  $R_{\text{inv}}$

sector

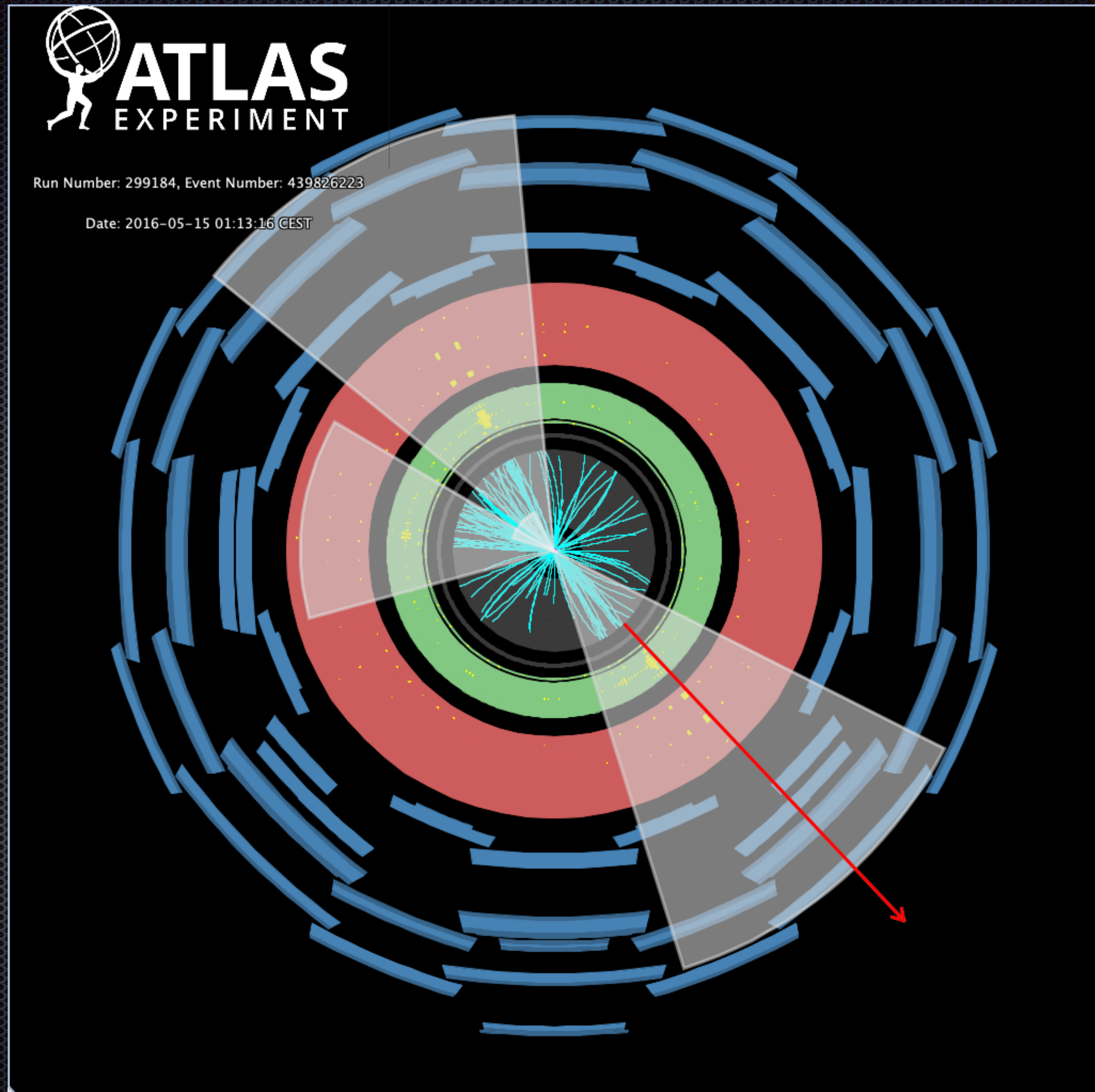
However, the story does not end here...



A dark, blurry photograph of a rainbow in a cloudy sky. The rainbow is faint and vertical, stretching from the bottom towards the top of the frame. The background is a dark, overcast sky with some indistinct shapes that could be trees or buildings. The overall tone is somber and atmospheric.

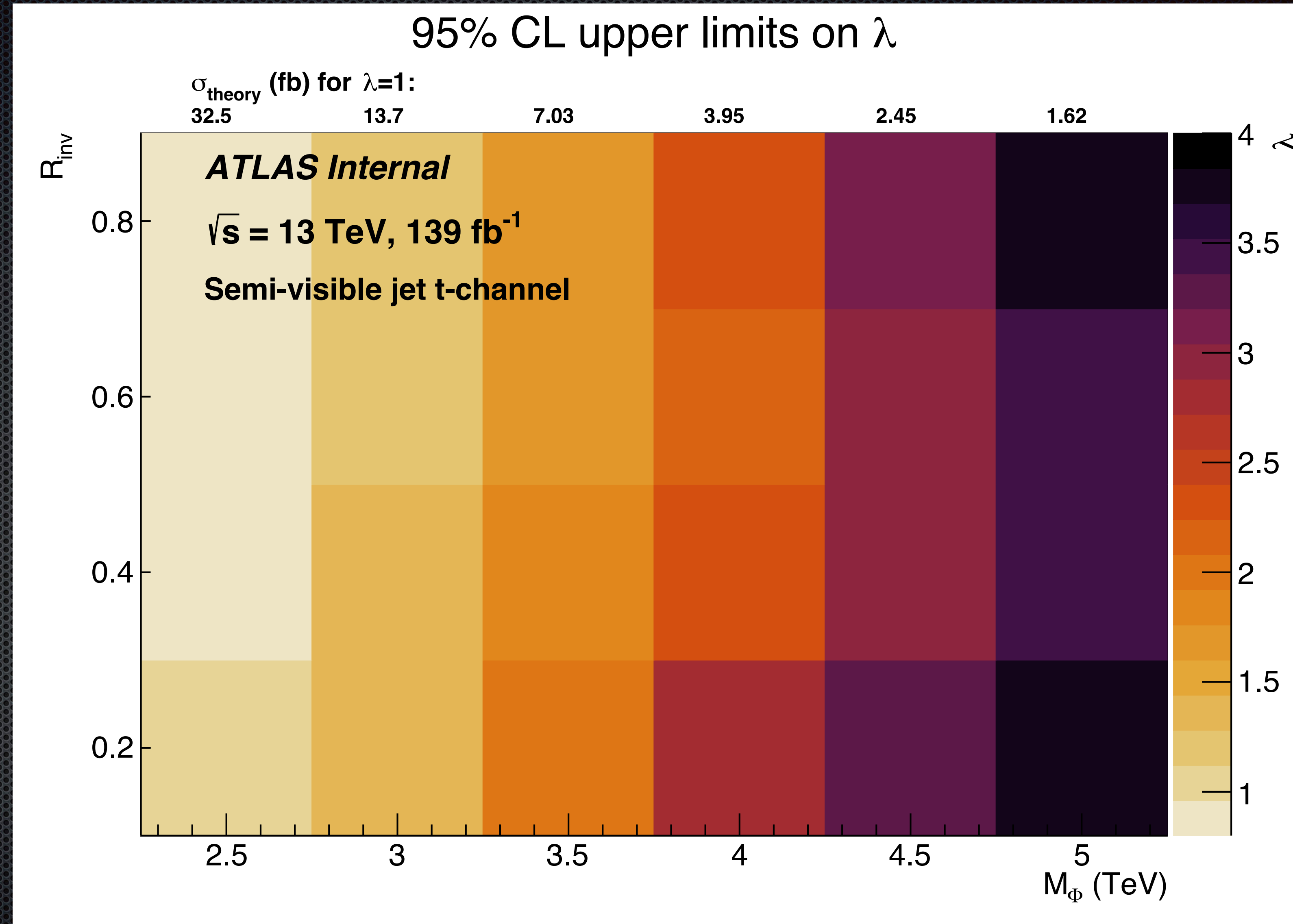
Sorry for the interruption ...

How would a  
signal event  
look?



# More Results

For mediator mass of 2.5 TeV or higher van also express the limits in terms of the  $q$ - $q_d$ - $\phi$  vertex coupling strength  $\lambda$ , with the XS scaling as  $\lambda^4$



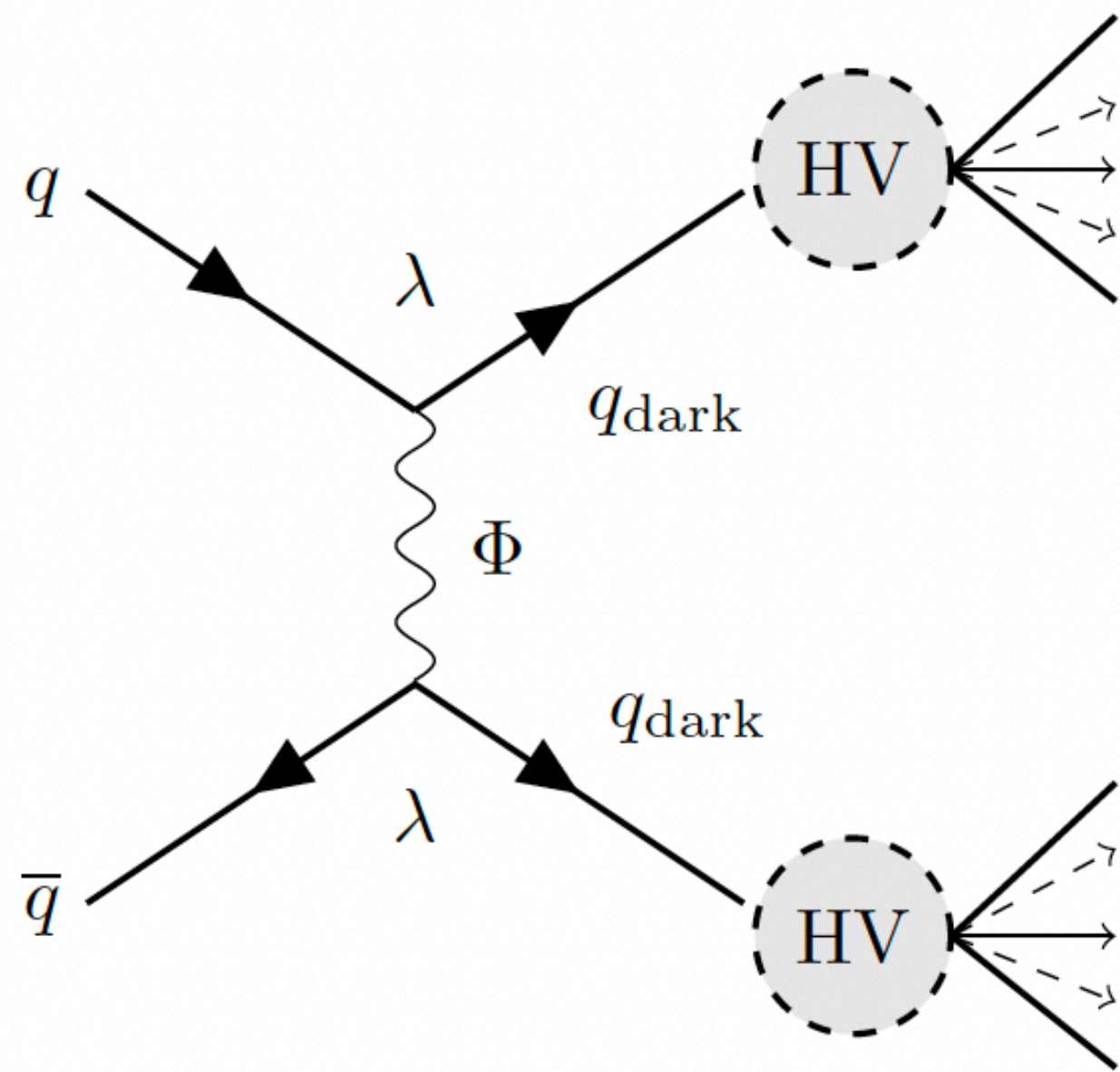
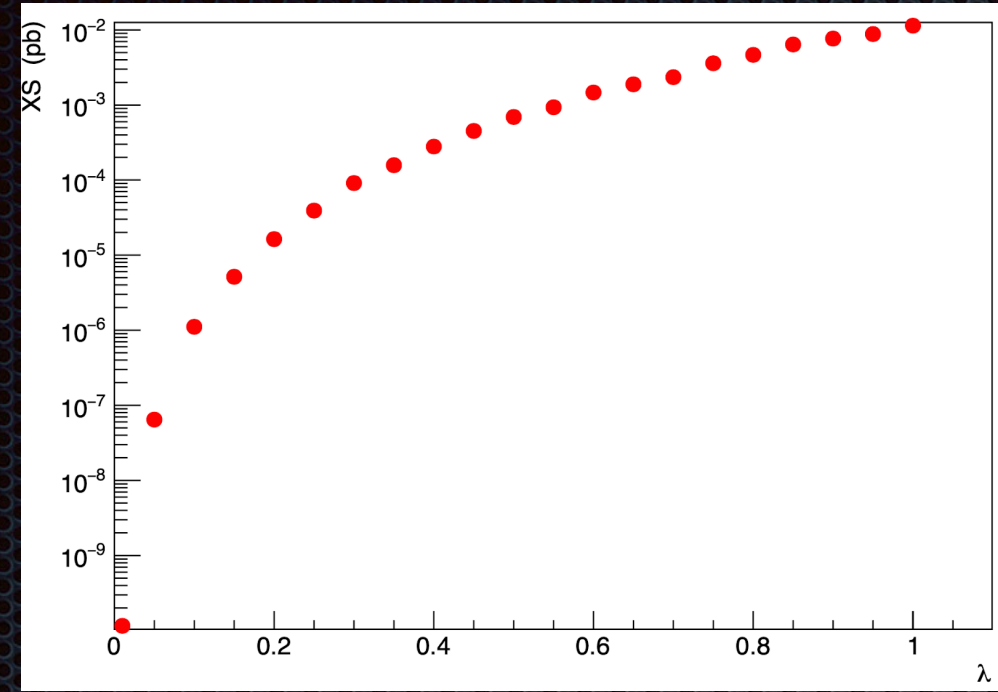
# Discussion

Why 2.5 TeV?



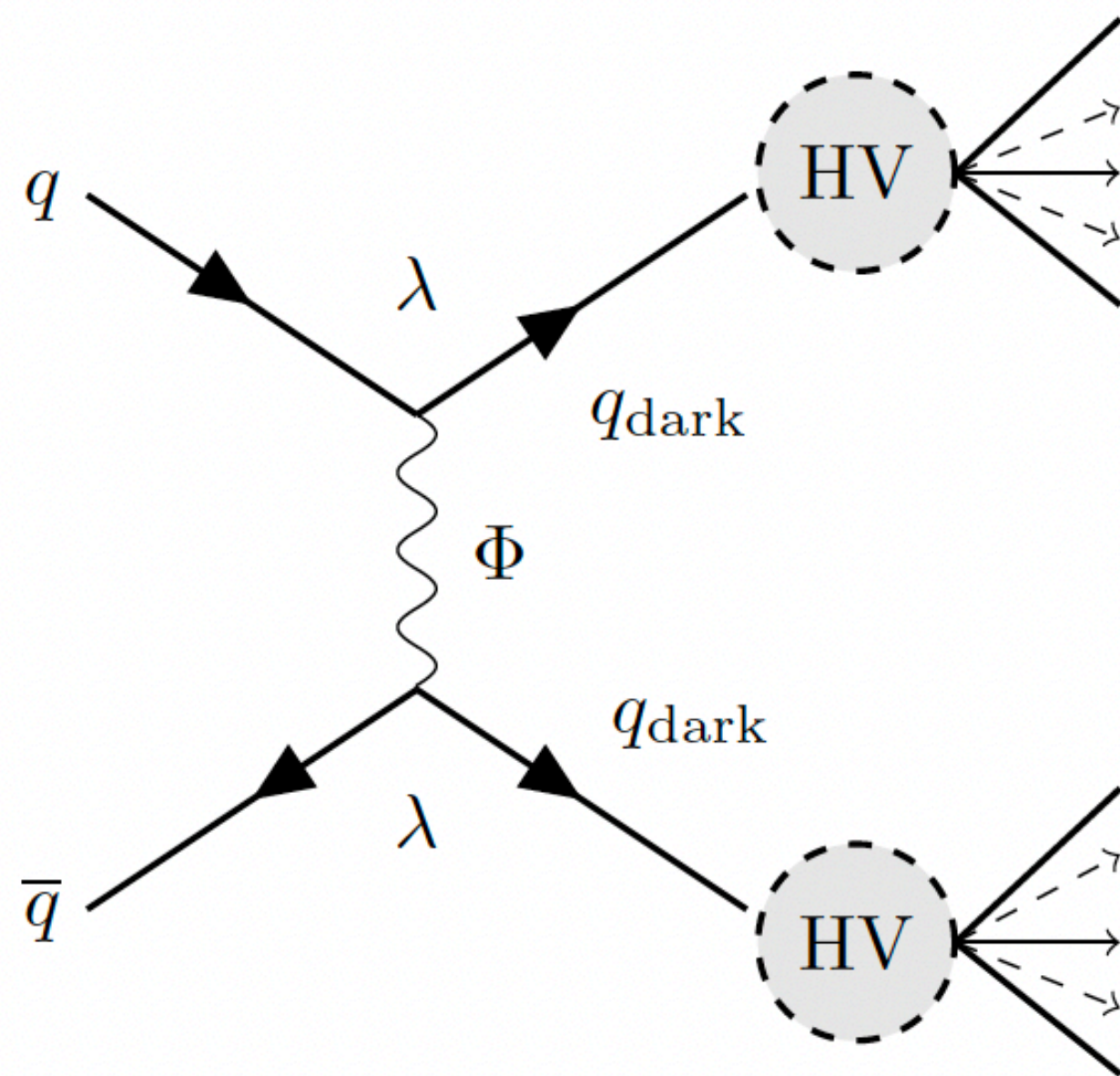
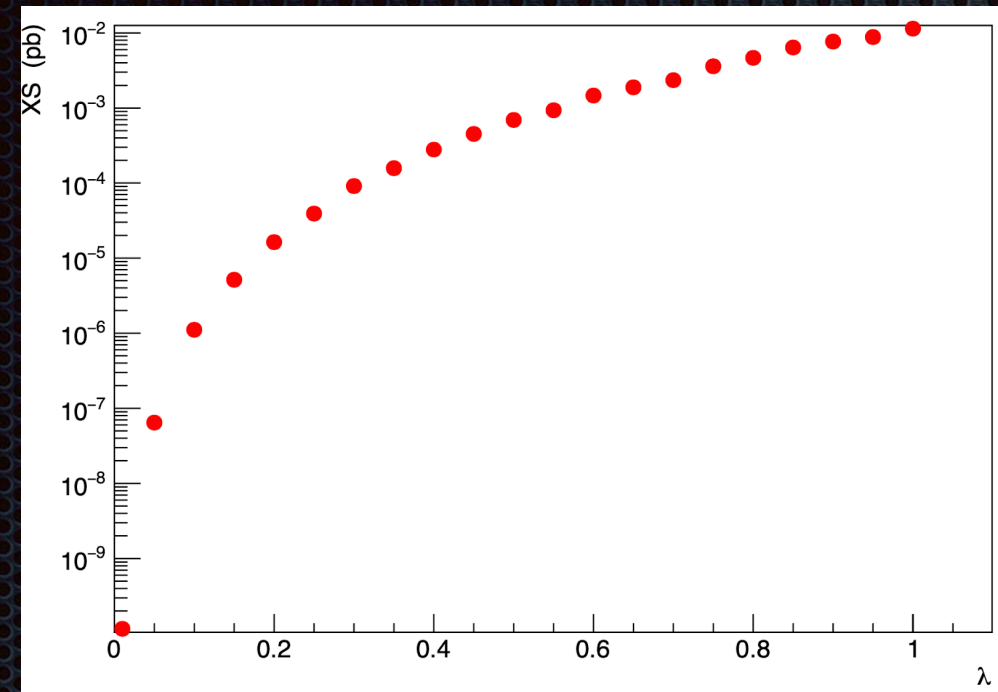
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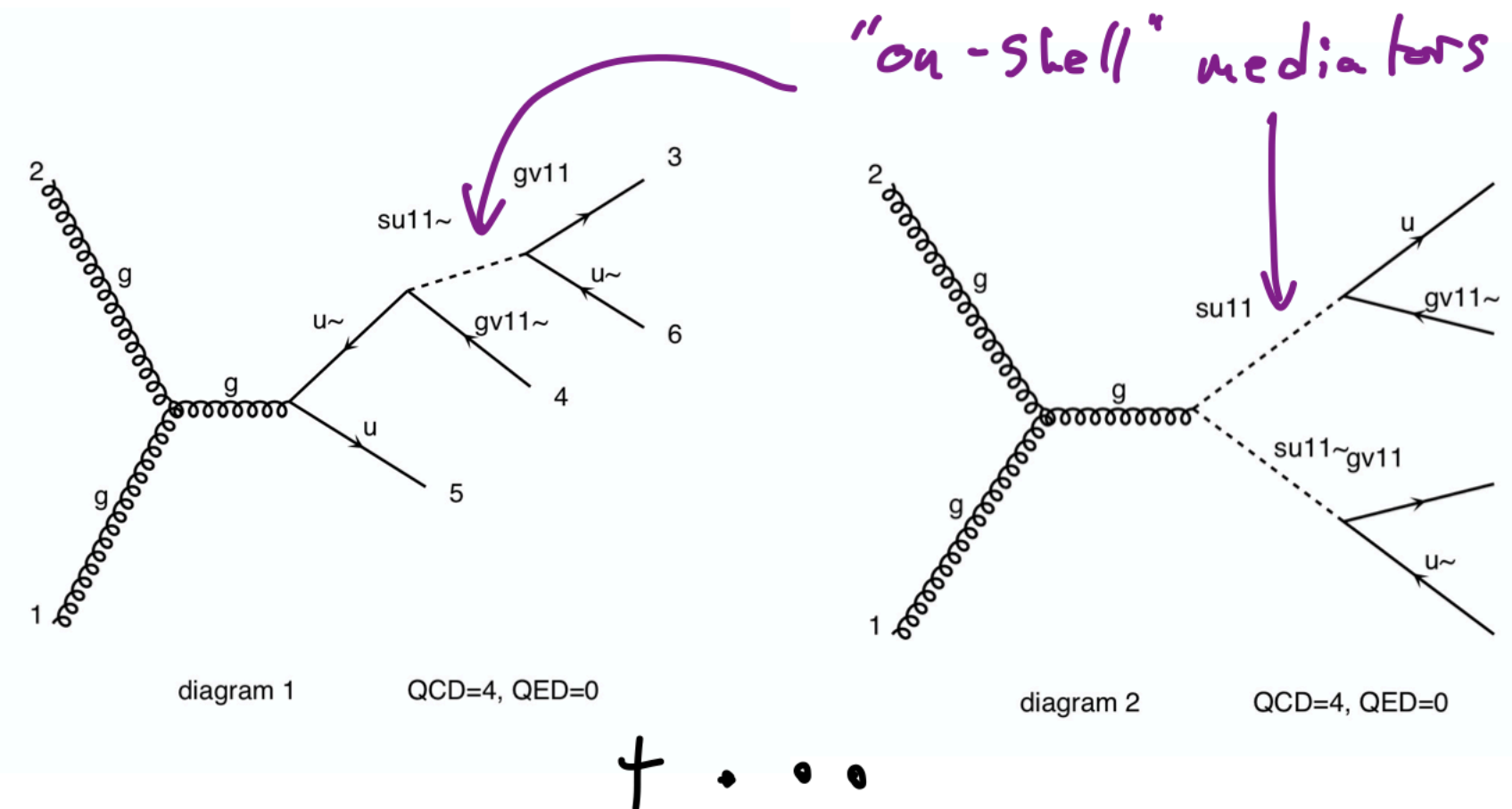


# Discussion

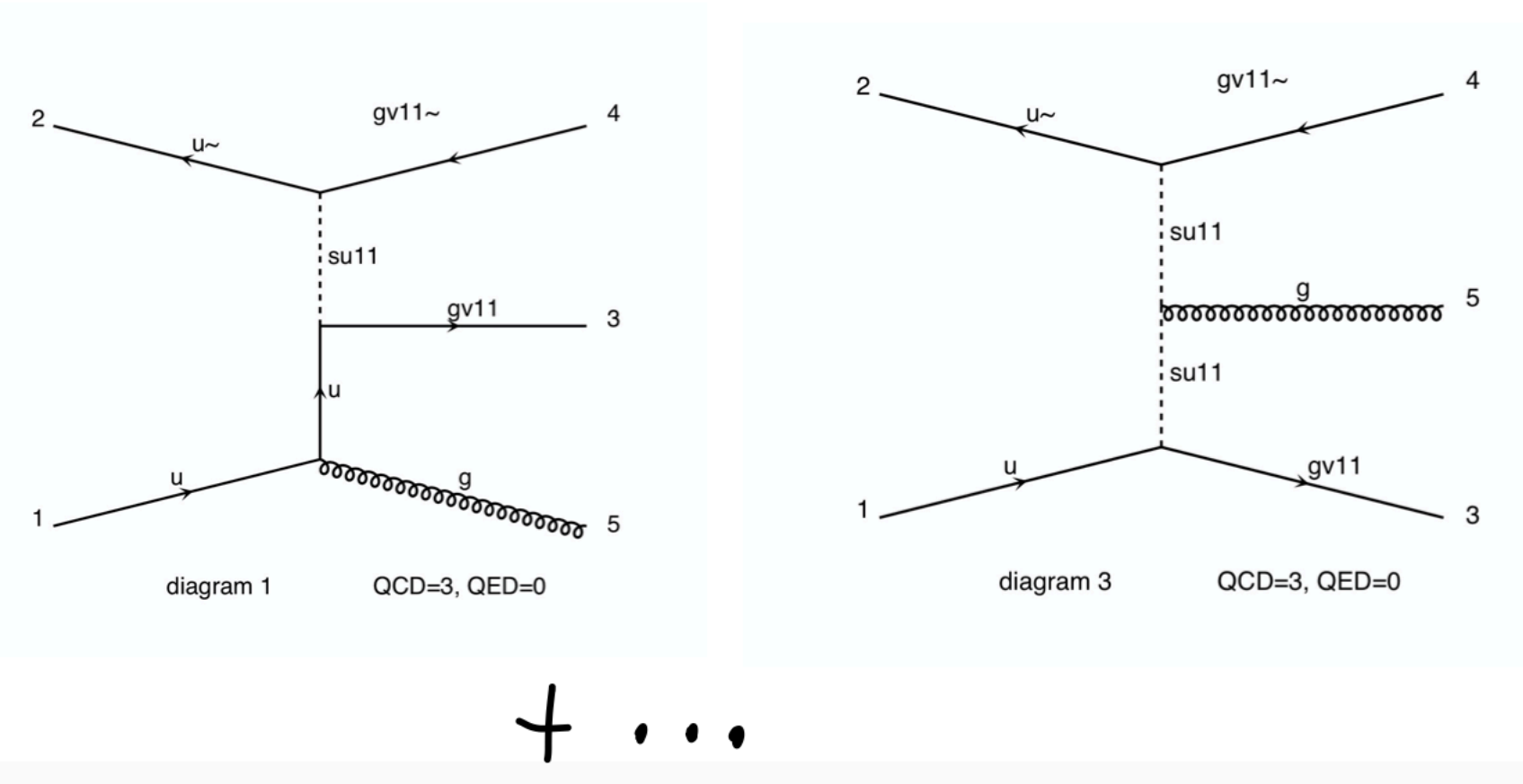
Why 2.5 TeV?



Production in  $t$ -channel Model  
Want higher body diagrams for "matching"



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Want higher body diagrams for "matching"



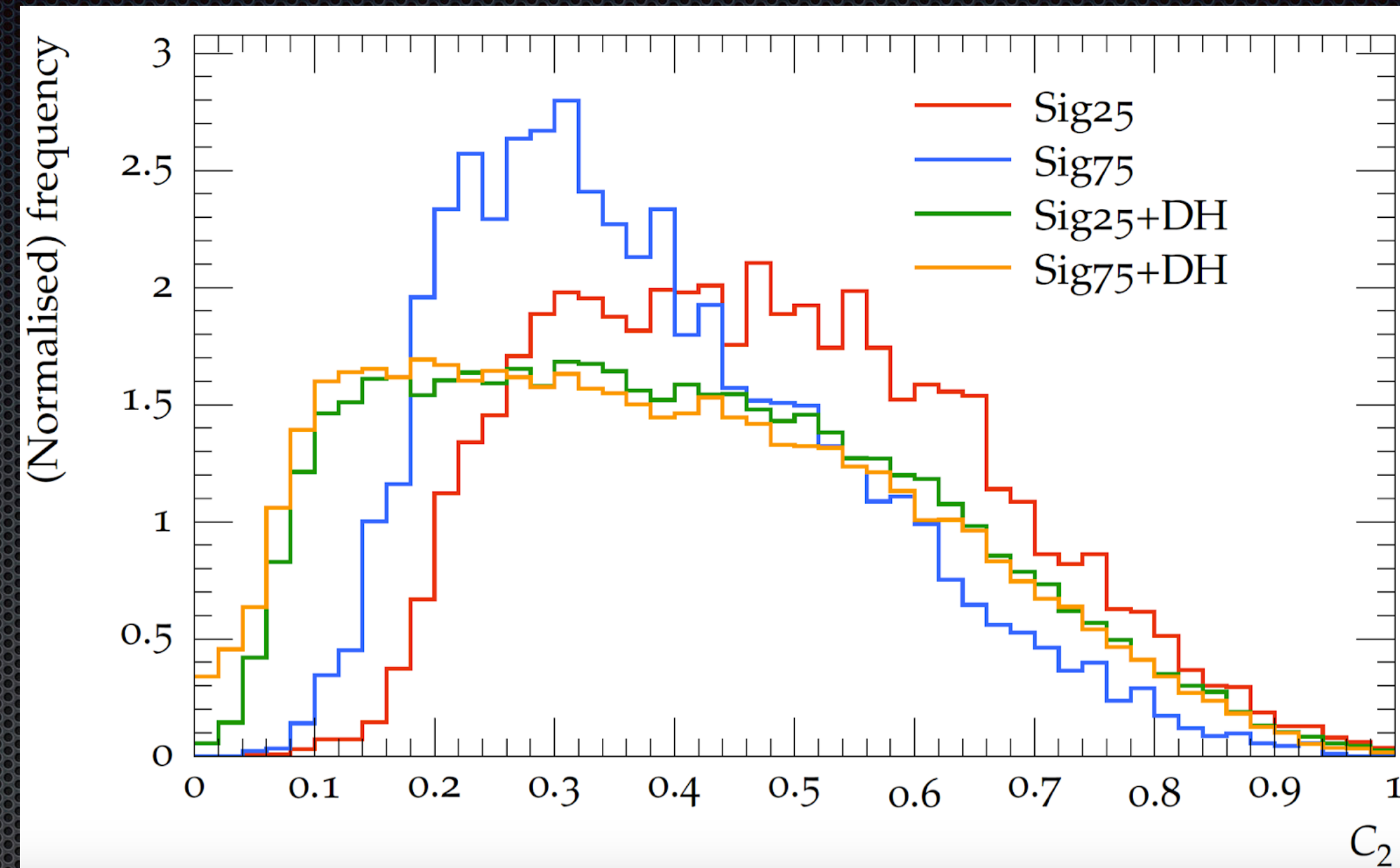
Diagrams with intermediate state mediator particles  $\rightarrow$  produced essentially on-shell (they include the full propagator structure so they in principle can go off-shell, but this is suppressed).

**Does not matter for a signature based search!**

*Blatantly stolen from Tim Cohen*

What's next? A very biased roadmap ...

# JSS in SVJ

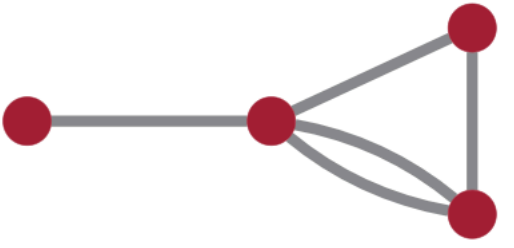


Substructure becomes less two-pronged with visible and dark hadrons in them, and the absence of the dark hadrons create the two-pronged structure → The substructure is created by the interspersing of visible hadrons with dark hadrons.

Can use ML algorithms, jet images ...

# Beyond traditional JSS (with Andy Buckley)

Energy flow polynomials (EFPs):


$$= \sum_{i_1=1}^M \sum_{i_2=1}^M \sum_{i_3=1}^M \sum_{i_4=1}^M z_{i_1} z_{i_2} z_{i_3} z_{i_4} \theta_{i_1 i_2} \theta_{i_2 i_3} \theta_{i_2 i_4}^2 \theta_{i_3 i_4}$$

EFP: <https://arxiv.org/abs/1712.07124>

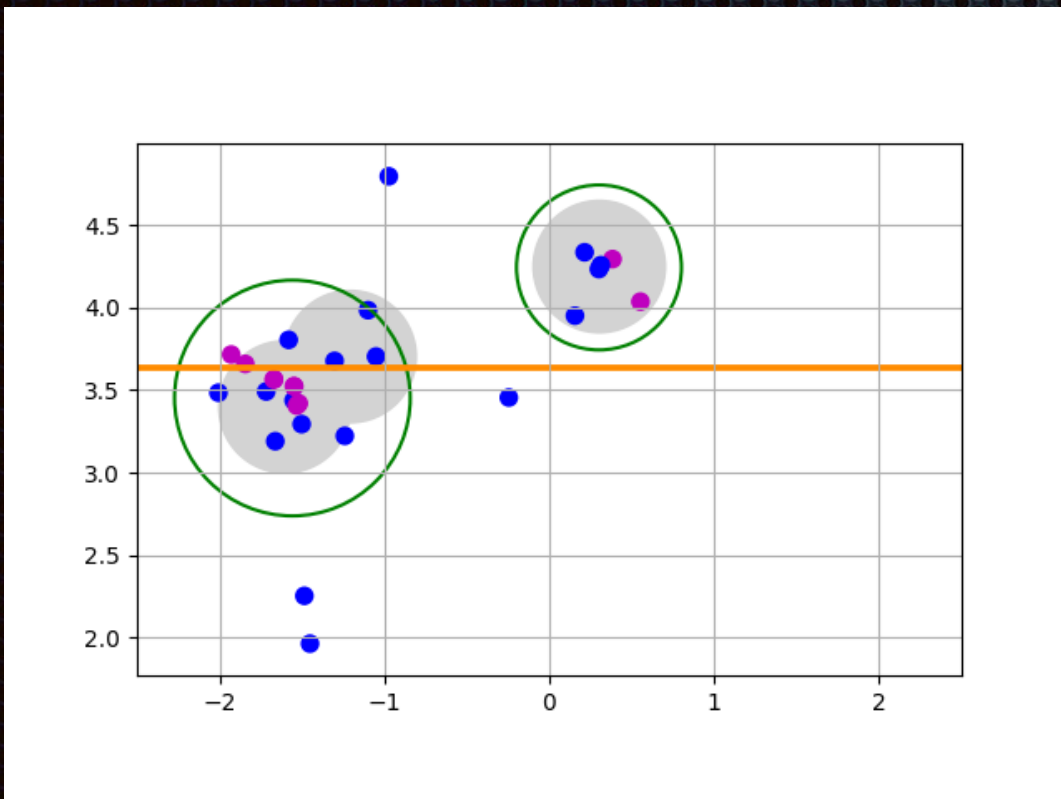
EFPs form a linear basis of all IRC-safe observables, making them suitable to construct new of JSS observables

*Certain EFP diagrams seem to have some bins that multijet background does not populate at all, in which the SVJ signal dominates...*

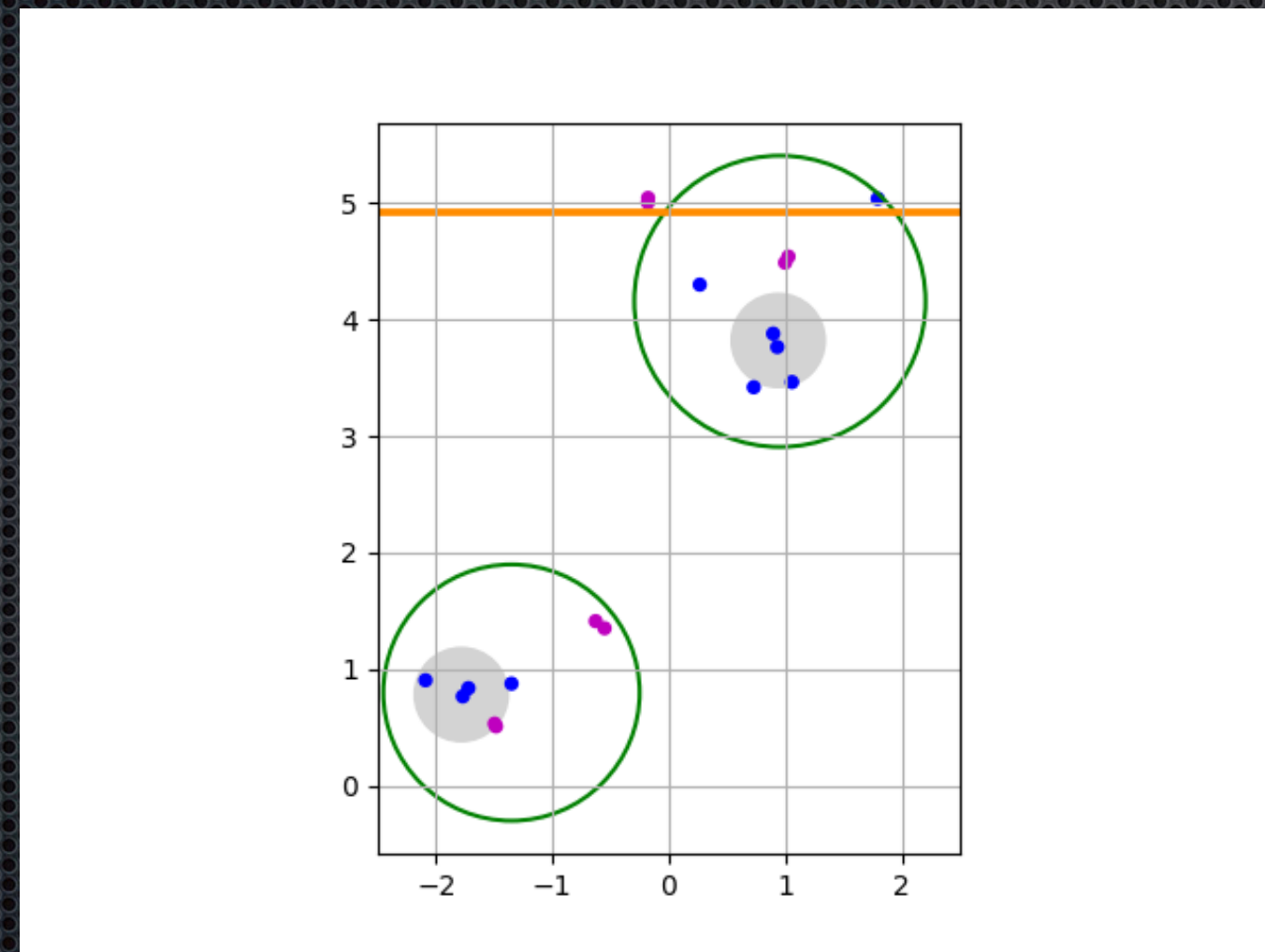
# B-philic SVJ

Theoretically well motivated!

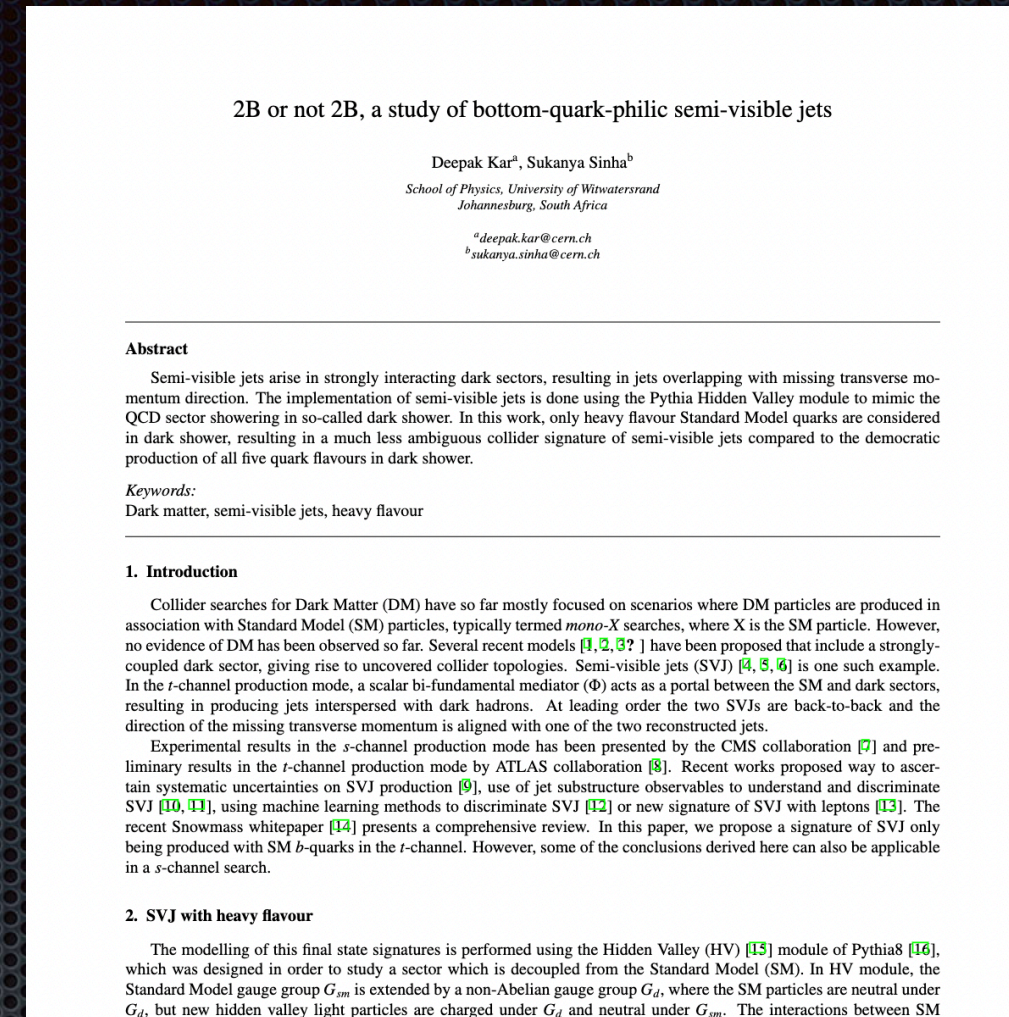
Extra handle on SVJs in collider search



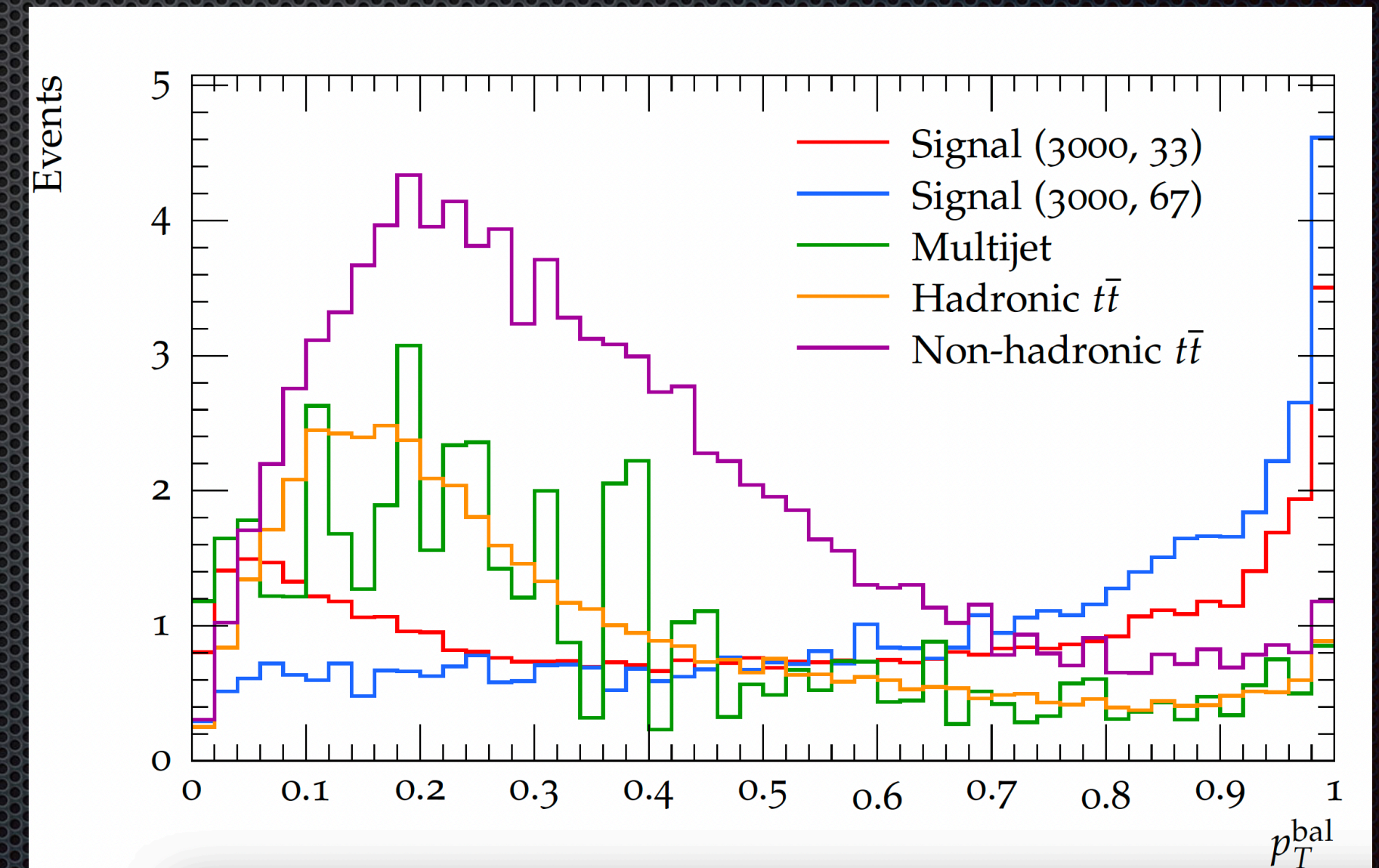
Better reconstruction with Variable Radius jets



VR: <https://arxiv.org/abs/0903.0392>



Can get good signal to background Discrimination after a set of selections ...



Coming tonight to arXiv