

# Searching for Light and Ultralight Dark Matter

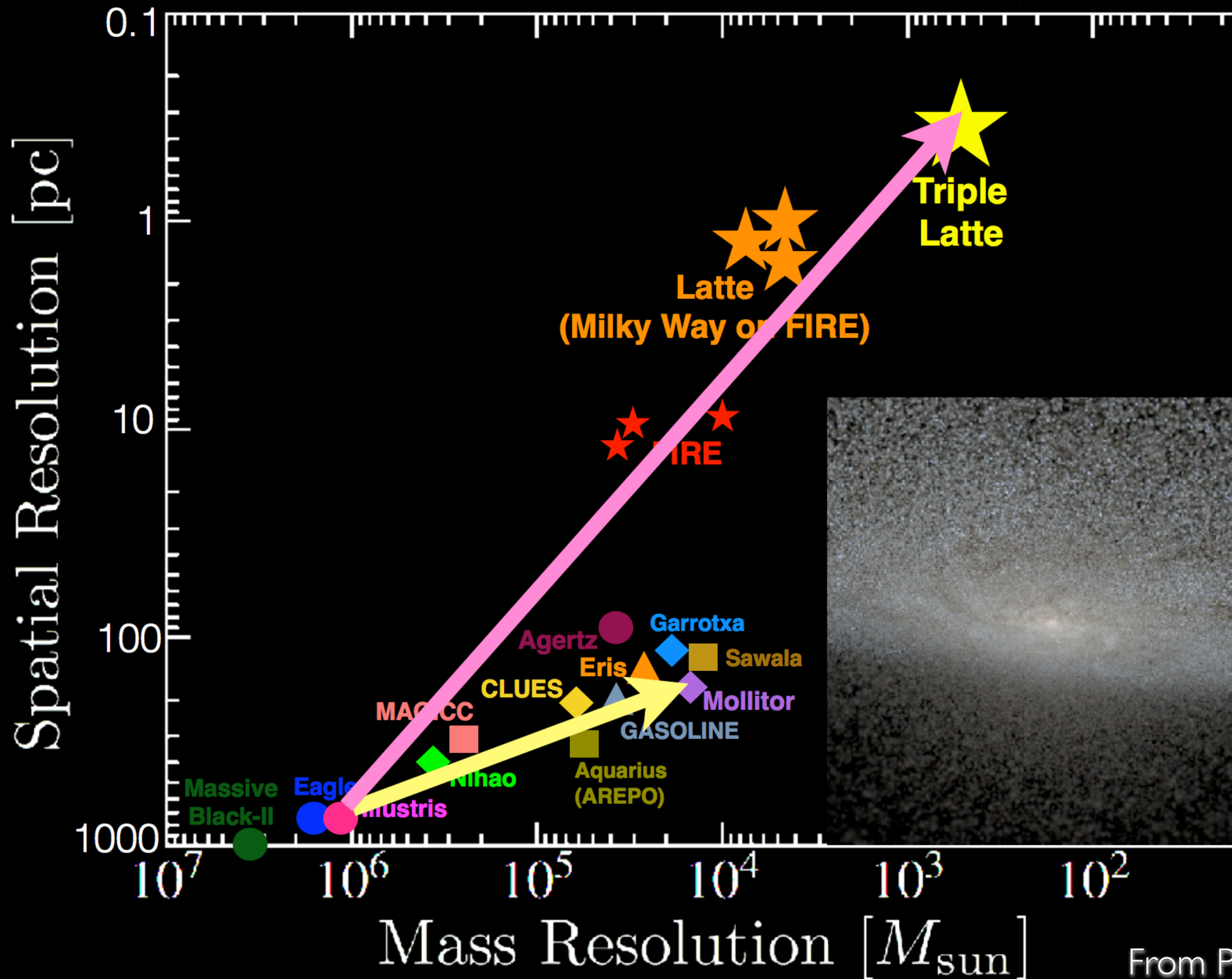
## The SENSEI and NASDUCK Experiments

May 2022



Tomer Volansky  
Tel-Aviv University

# Moore's law in N-body simulations

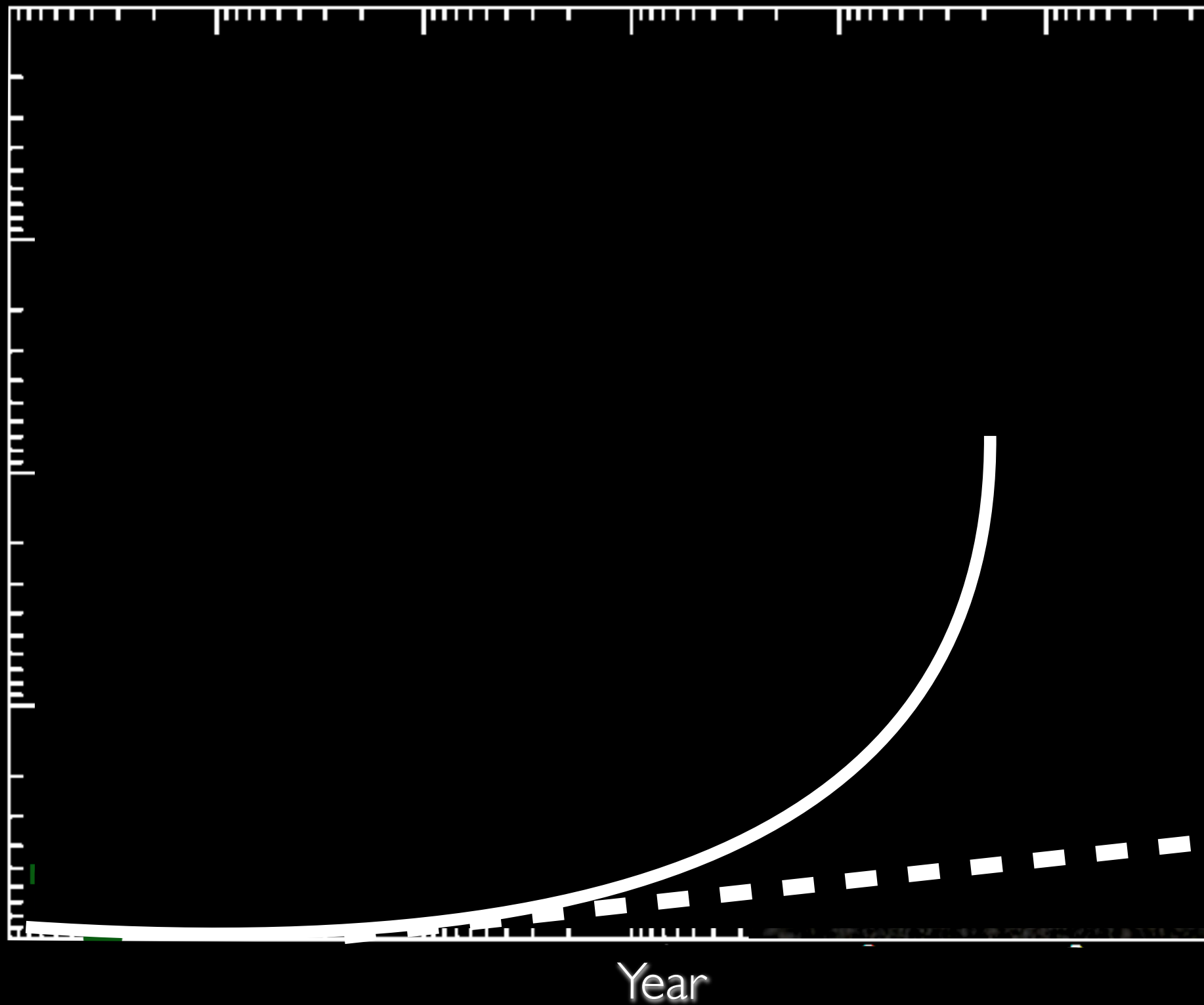


From Phil Hopkins

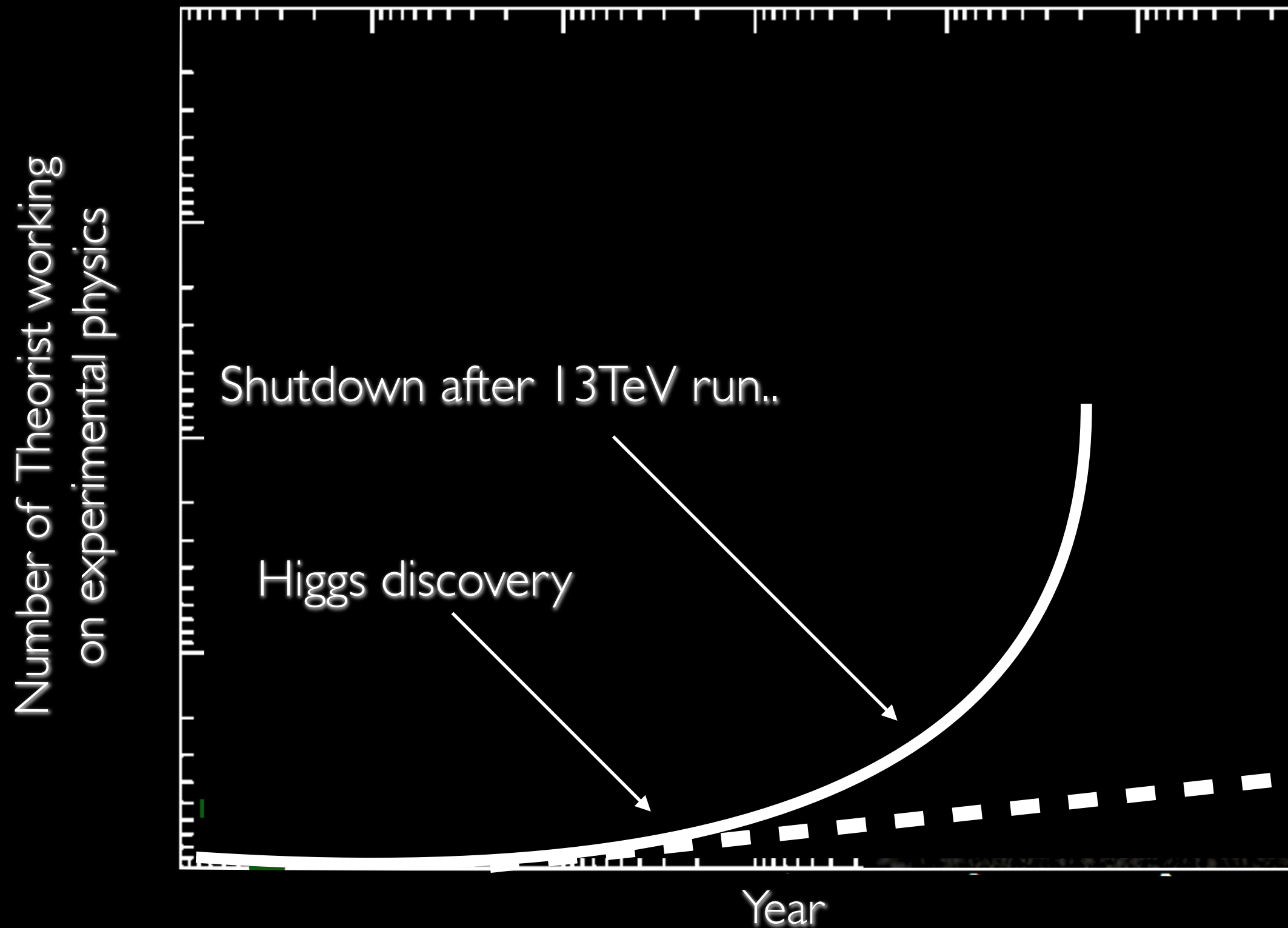


# Moore's law in theoretical particle physics

Number of Theorists working  
on experimental physics

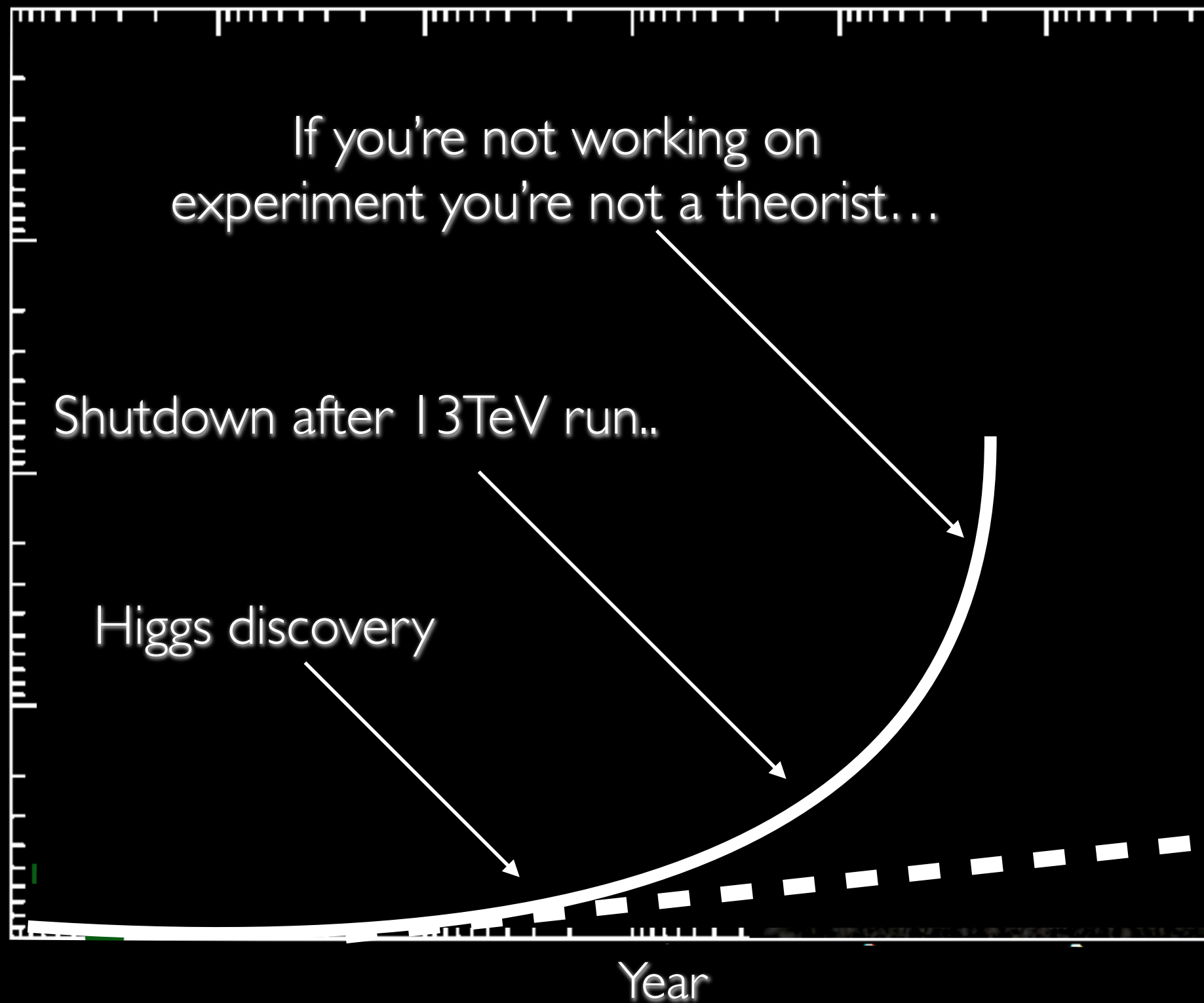


# Moore's law in theoretical particle physics

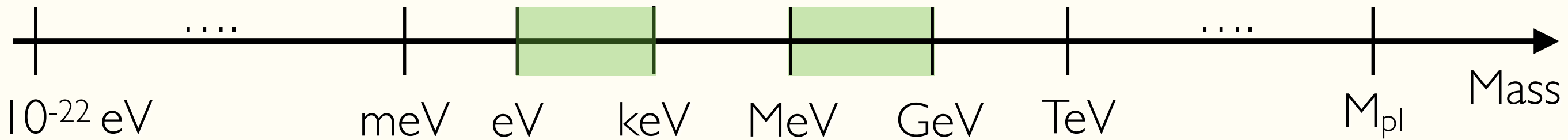


# Moore's law in theoretical particle physics

Number of Theorist working  
on experimental physics

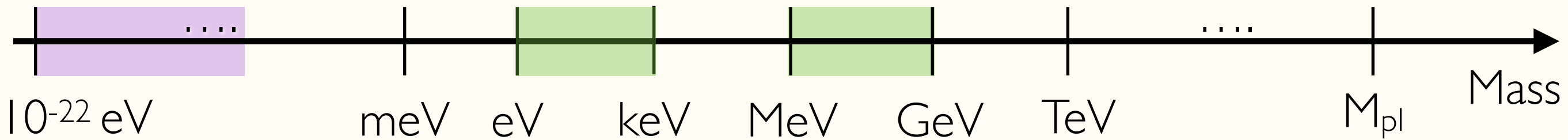


# Outline



- Direct Detection of Light Dark Matter
  - Electron ionisation
  - The SENSEI experiment

# Outline

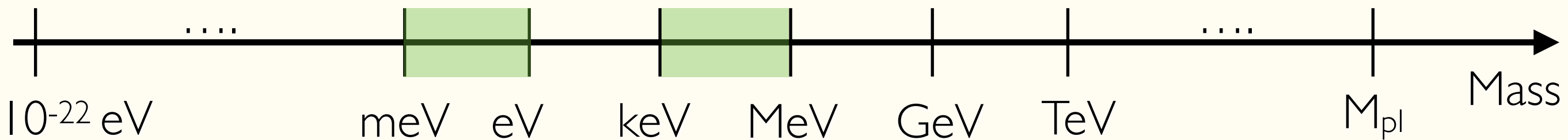


- Direct Detection of Light Dark Matter
  - Electron ionisation
  - The SENSEI experiment
- Detection of Ultralight Dark Matter
  - Axion-like particles
  - The NASDUCK experiment



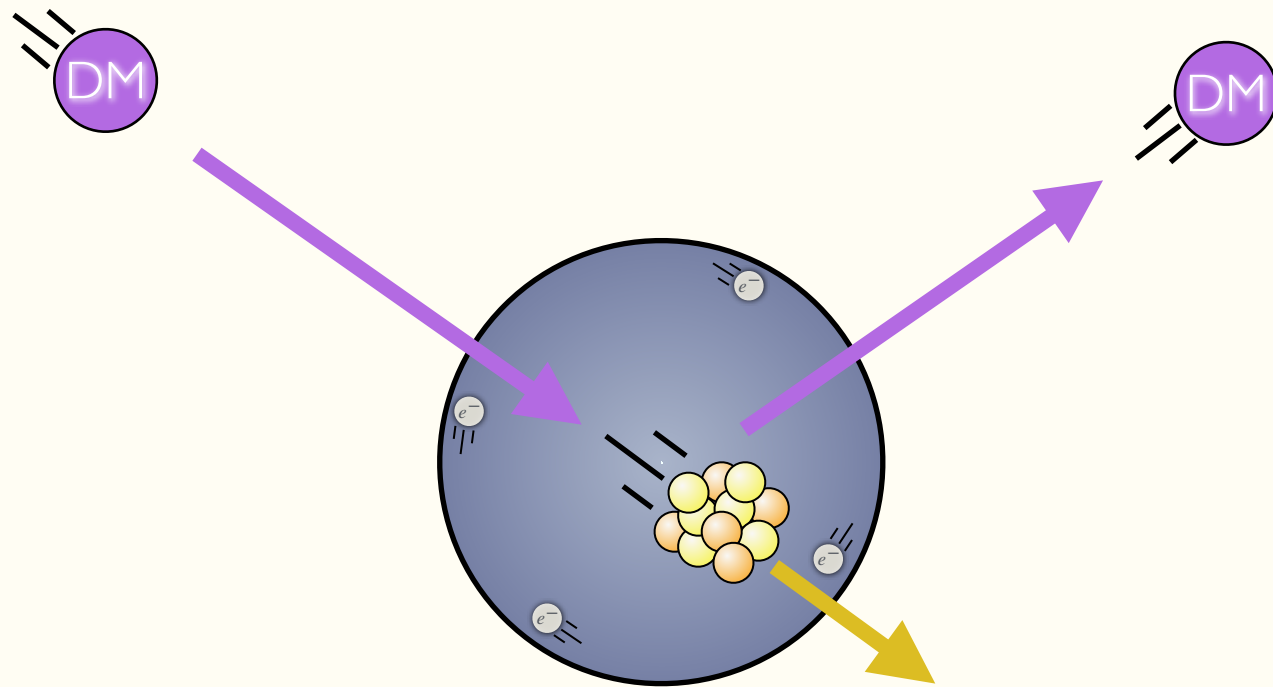
# The Direct Detection Frontier

## Sub-GeV Dark Matter



# Direct Detection: Kinematics

Conventional direct detection experiments search for elastic scattering:



$$E_R = \frac{q^2}{2m_N} \sim \frac{(m_{\text{DM}}v)^2}{2m_N}$$
$$\sim 20 \text{ eV} \times \left( \frac{m_{\text{DM}}}{\text{GeV}} \right)^2 \left( \frac{100 \text{ GeV}}{m_N} \right)$$

Recoil energy drops fast

Can't go much below  $\sim \text{GeV}$

Negligible recoil energy

How do we extract more energy?

Low Threshold Inelastic Processes

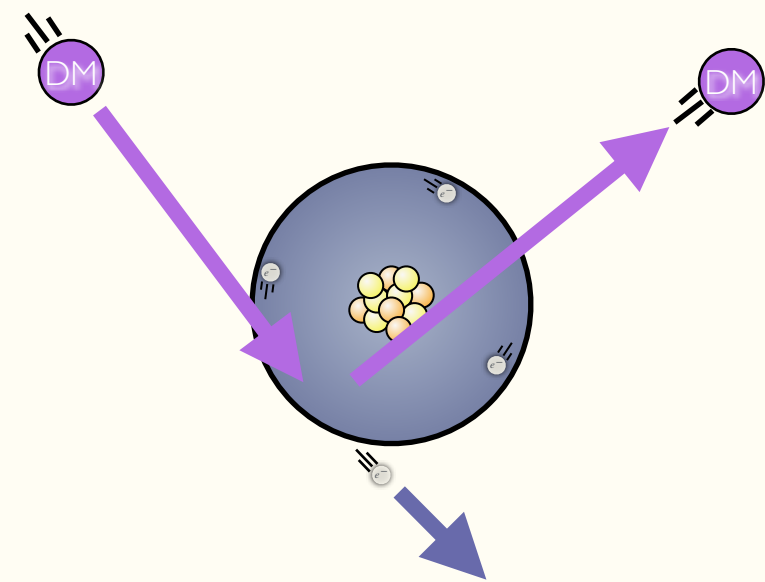
Essig, Mardon, TV, 2011

# Direct Detection: Kinematics

How do we extract more energy?

Low Threshold Inelastic Processes

Essig, Mardon, TV, 2011



Electron Scattering

Essig, Mardon, TV, 2011

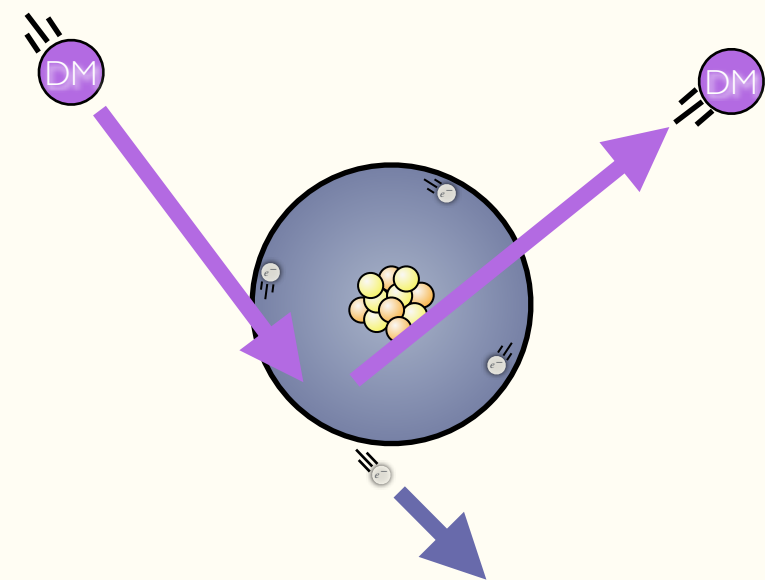
Essig, Manalaysay, Mardon, Sorensen, TV; Essig, Fernandez-Serra, Mardon, Soto, TV, Yu; Derenzo, Essig, Massari, Soto, Yu; Essig, TV, Yu; Essig, Sholarpurkar, Yu; Emken, Essig, Kouvaris, Sholarpurkar; Derenzo, Bourret, Hanrahan, Bizarri; Graham, Kaplan, Rajendran, Walters; Lee, Lisanti, Mishra-Sharma, Safdi; XENONIT; Berggren, Hochberg, Kahn, Kurinsky, Lehmann, Yu; Knapen, Kozaczuk, Lin;

# Direct Detection: Kinematics

## How do we extract more energy?

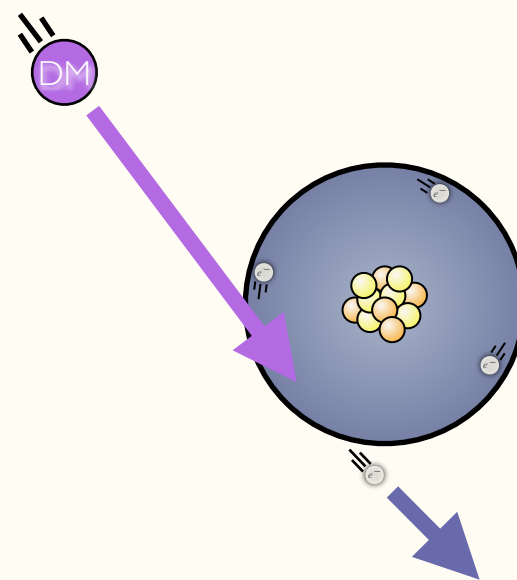
### Low Threshold Inelastic Processes

Essig, Mardon, TV, 2011



Electron Scattering

Essig, Mardon, TV, 2011



DM Absorption

Dimopoulos, Starkman, Lynn, 1986  
An, Pospelov, Pradler, Ritz, 2014

Essig, Manalaysay, Mardon, Sorensen, TV; Essig, Fernandez-Serra, Mardon, Soto, TV, Yu; Derenzo, Essig, Massari, Soto, Yu; Essig, TV, Yu; Essig, Sholarpurkar, Yu; Emken, Essig, Kouvaris, Sholarpurkar; Derenzo, Bourret, Hanrahan, Bizarri; Graham, Kaplan, Rajendran, Walters; Lee, Lisanti, Mishra-Sharma, Safdi; XENONIT; Berggren, Hochberg, Kahn, Kurinsky, Lehmann, Yu; Knapen, Kozaczuk, Lin;

Avignone et al.; Pospelov, Ritz, Voloshin; Raffelt, Redondo; Hochberg, Lin, Zurek; Bloch, Essig, Tobioka, TV, Yu; Bloch, Caputo, Essig, Redigolo, Sholarpurkar, TV; Knapen, Lin, Zurek; XENONIT; DAMIC;

...

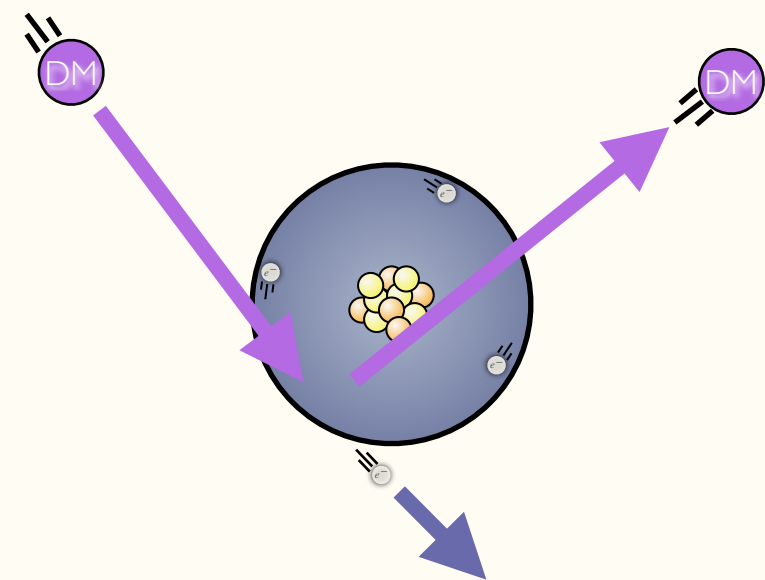


# Direct Detection: Kinematics

## How do we extract more energy?

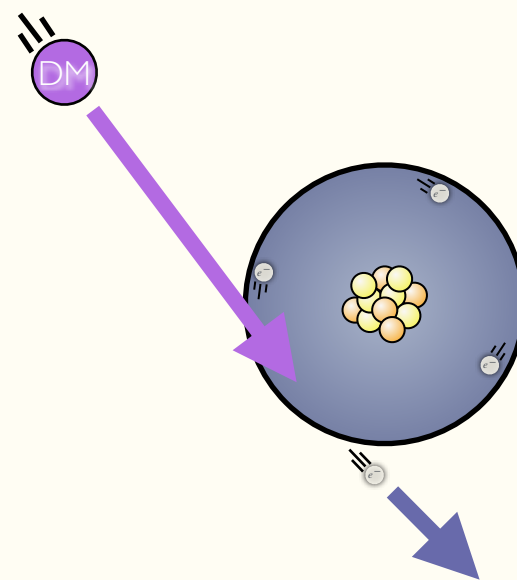
### Low Threshold Inelastic Processes

Essig, Mardon, TV, 2011



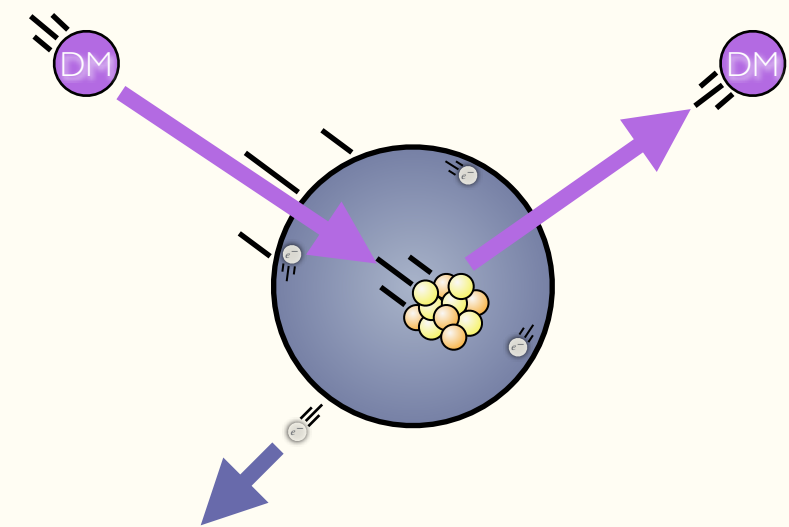
Electron Scattering

Essig, Mardon, TV, 2011



DM Absorption

Dimopoulos, Starkman, Lynn, 1986  
An, Pospelov, Pradler, Ritz, 2014



Migdal Scattering

Ibe, Nakano, Shoji, Suzuki, 2017

Essig, Manalaysay, Mardon, Sorensen, TV; Essig, Fernandez-Serra, Mardon, Soto, TV, Yu; Derenzo, Essig, Massari, Soto, Yu; Essig, TV, Yu; Essig, Sholarpurkar, Yu; Emken, Essig, Kouvaris, Sholarpurkar; Derenzo, Bourret, Hanrahan, Bizarri; Graham, Kaplan, Rajendran, Walters; Lee, Lisanti, Mishra-Sharma, Safdi; XENONIT; Berggren, Hochberg, Kahn, Kurinsky, Lehmann, Yu; Knapen, Kozaczuk, Lin;

Avignone et al.; Pospelov, Ritz, Voloshin; Raffelt, Redondo; Hochberg, Lin, Zurek; Bloch, Essig, Tobioka, TV, Yu; Bloch, Caputo, Essig, Redigolo, Sholarpurkar, TV; Knapen, Lin, Zurek; XENONIT; DAMIC;

...

Ibe, Nakano, Shoji, Suzuki; Baxter, Kahn, Krnjaic; Essig, Pradler, Sholarpurkar, Yu; Liang, Zhang, Zheng, Zhang; Liu, Wu, Chi, Chen; Kahn, Krnjaic, Mandava; Knapen, Kozaczuk, Li; Liang, Mo, Zheng, Zhang;

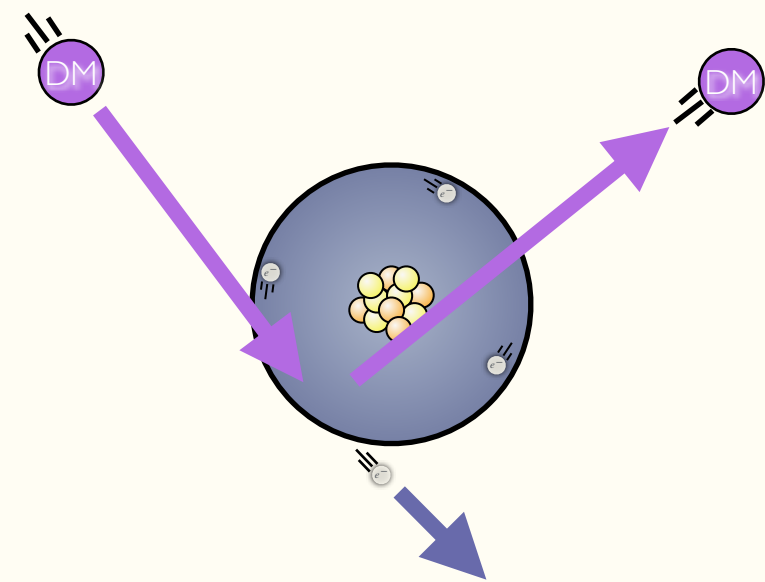
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# Direct Detection: Kinematics

How do we extract more energy?

Low Threshold Inelastic Processes

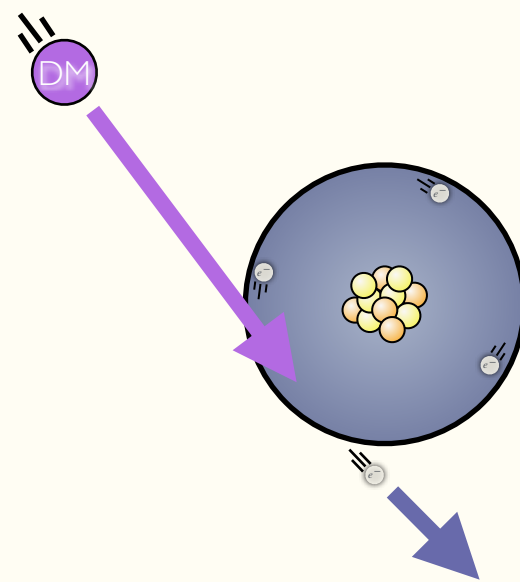
Essig, Mardon, TV, 2011



Electron Scattering

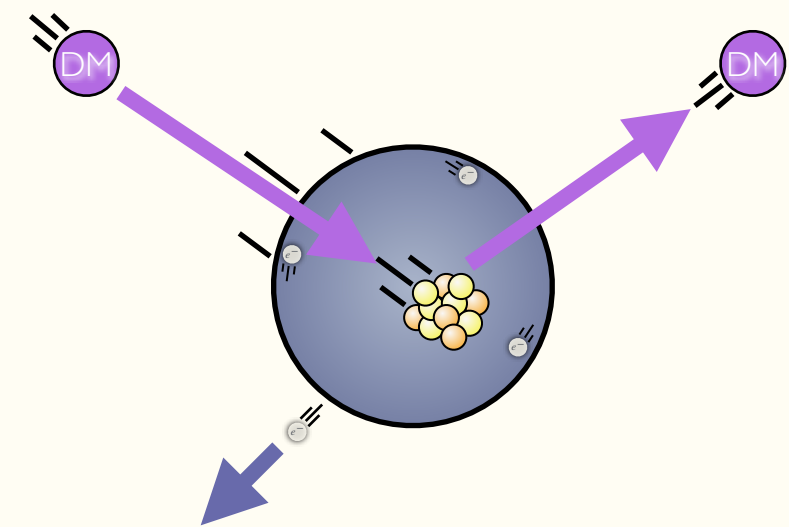
$$\Delta E_e = \mathbf{q} \cdot \mathbf{v} - \frac{\mathbf{q}^2}{2\mu_{\chi N}}$$

$$v_{\text{DM}} \lesssim 2 \times 10^{-3} c \ll v_e \sim \alpha_{\text{EM}} \sim \frac{1}{137}$$



DM Absorption

$$E_R \sim m_{\text{DM}}$$



Migdal Scattering

$$\Delta E_e = \mathbf{q} \cdot \mathbf{v} - \frac{\mathbf{q}^2}{2\mu_{\chi N}}$$

# Direct Detection: Kinematics

How do we extract more energy?

Low Threshold Inelastic Processes

Essig, Mardon, TV, 2011

Entire DM energy can be transferred

Electron Scattering

$$\Delta E_e = \mathbf{q} \cdot \mathbf{v} - \frac{\mathbf{q}^2}{2\mu_{\chi N}}$$

DM Absorption

$$E_R \sim m_{\text{DM}}$$

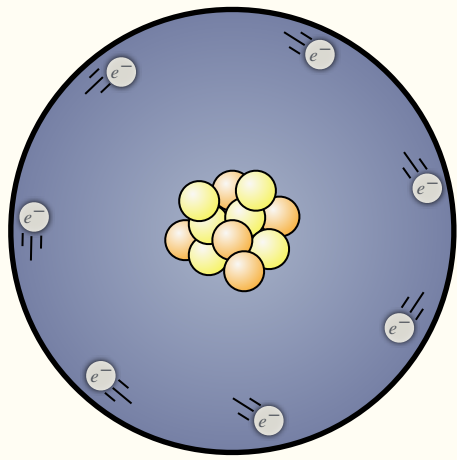
Migdal Scattering

$$\Delta E_e = \mathbf{q} \cdot \mathbf{v} - \frac{\mathbf{q}^2}{2\mu_{\chi N}}$$

$$v_{\text{DM}} \lesssim 2 \times 10^{-3} c \ll v_e \sim \alpha_{\text{EM}} \sim \frac{1}{137}$$

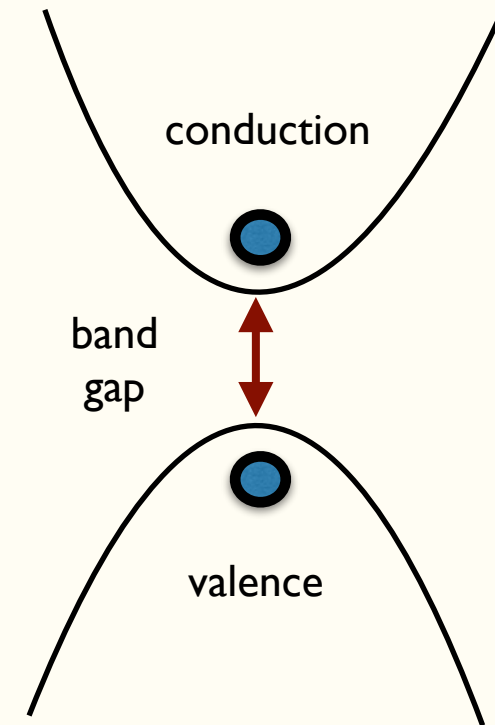
# Direct Detection: Targets

Requires sensitivity to single- or few ionized electrons



noble liquids

$$\Delta E \sim 10 \text{ eV}$$
$$m_{\text{DM}} \gtrsim 5 \text{ MeV}$$

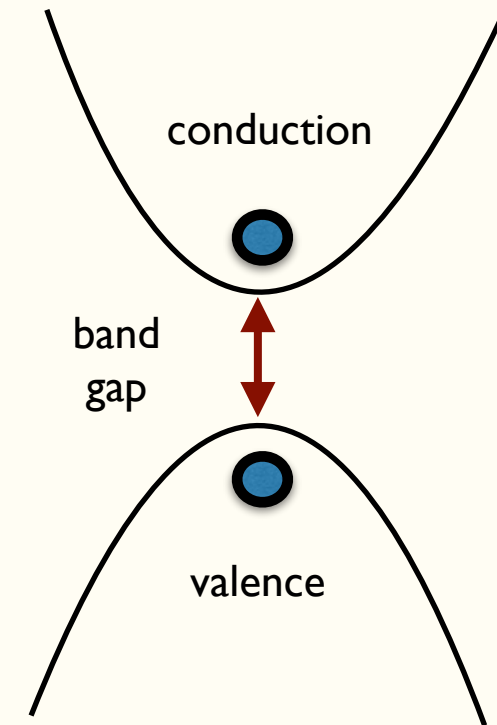


semiconductors  
scintillators

$$\Delta E \sim 1 \text{ eV}$$
$$m_{\text{DM}} \gtrsim 500 \text{ keV}$$

# Direct Detection: Targets

Requires sensitivity to single- or few ionized electrons



semiconductors  
scintillators

$$\Delta E \sim 1 \text{ eV}$$

$$m_{\text{DM}} \gtrsim 500 \text{ keV}$$



# Electron Ionization: Rates

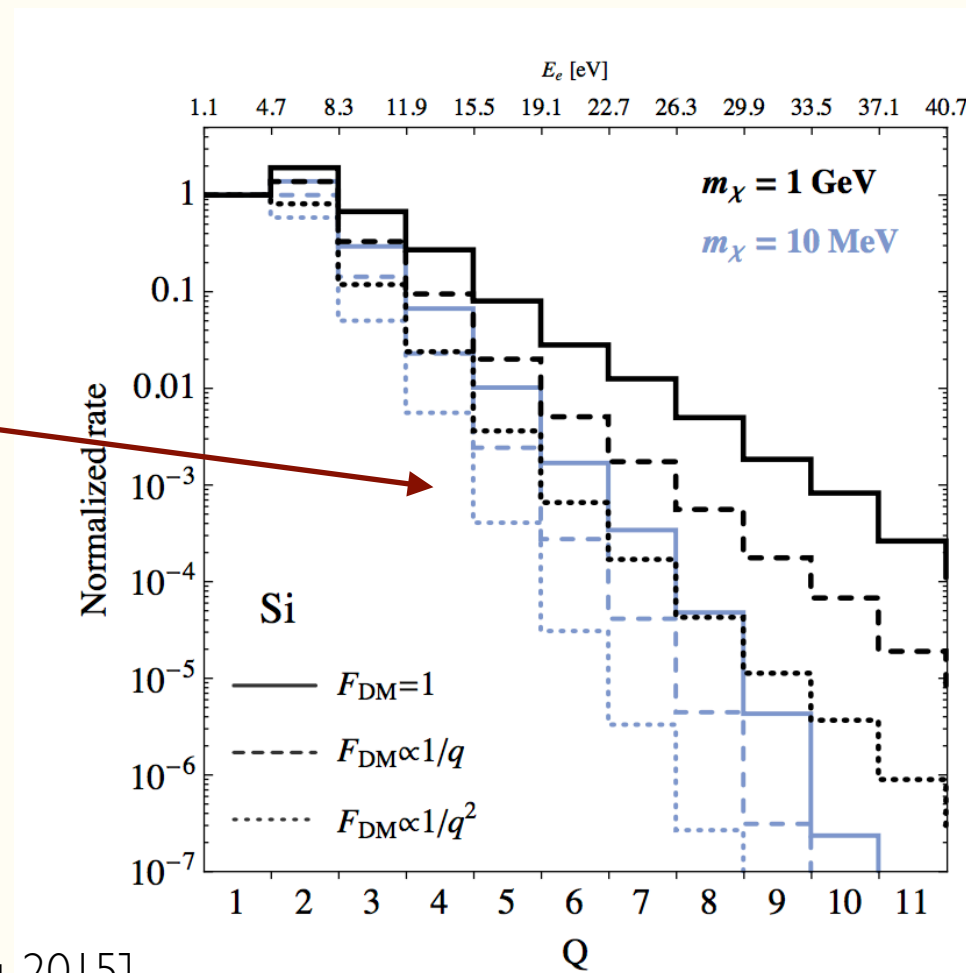
Low threshold implies:

Sensitivity to low mass

Exponentially larger rates

Excellent sensitivity with small targets  
1 tonne (WIMP) vs. 100 gram (Light DM)

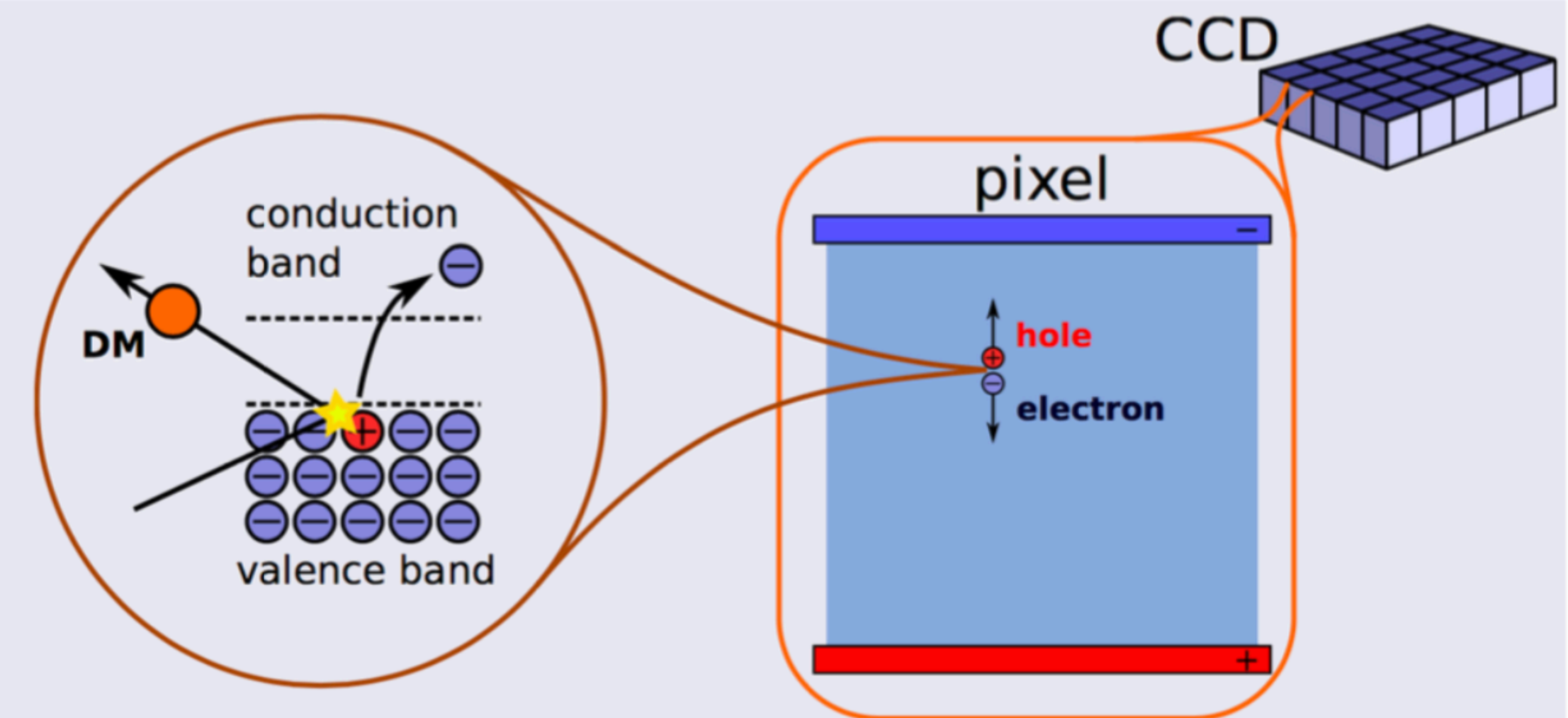
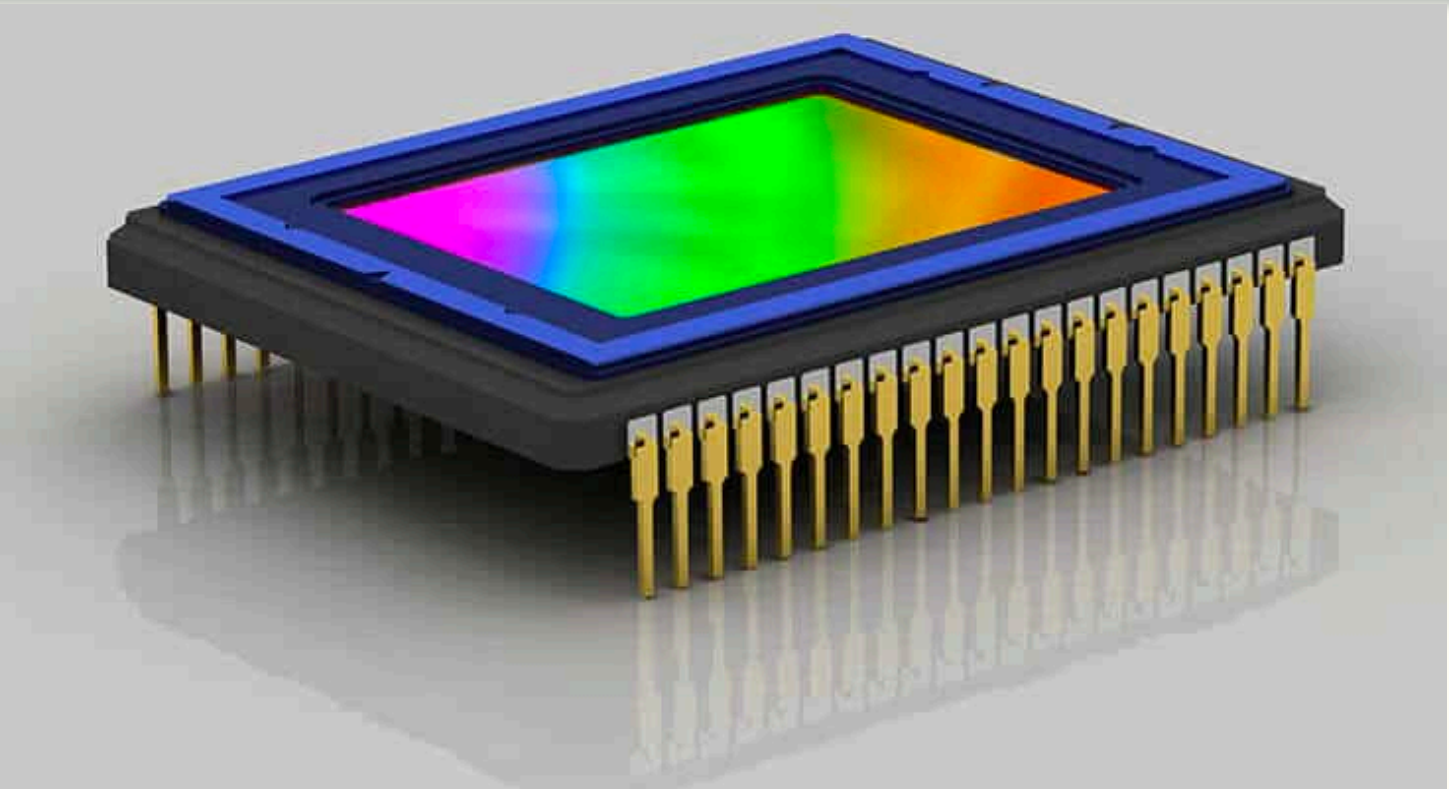
Rapid drop-off  
in rate!



# SENSEI

Sub-Electron-Noise Skipper CCD Experimental Instrument

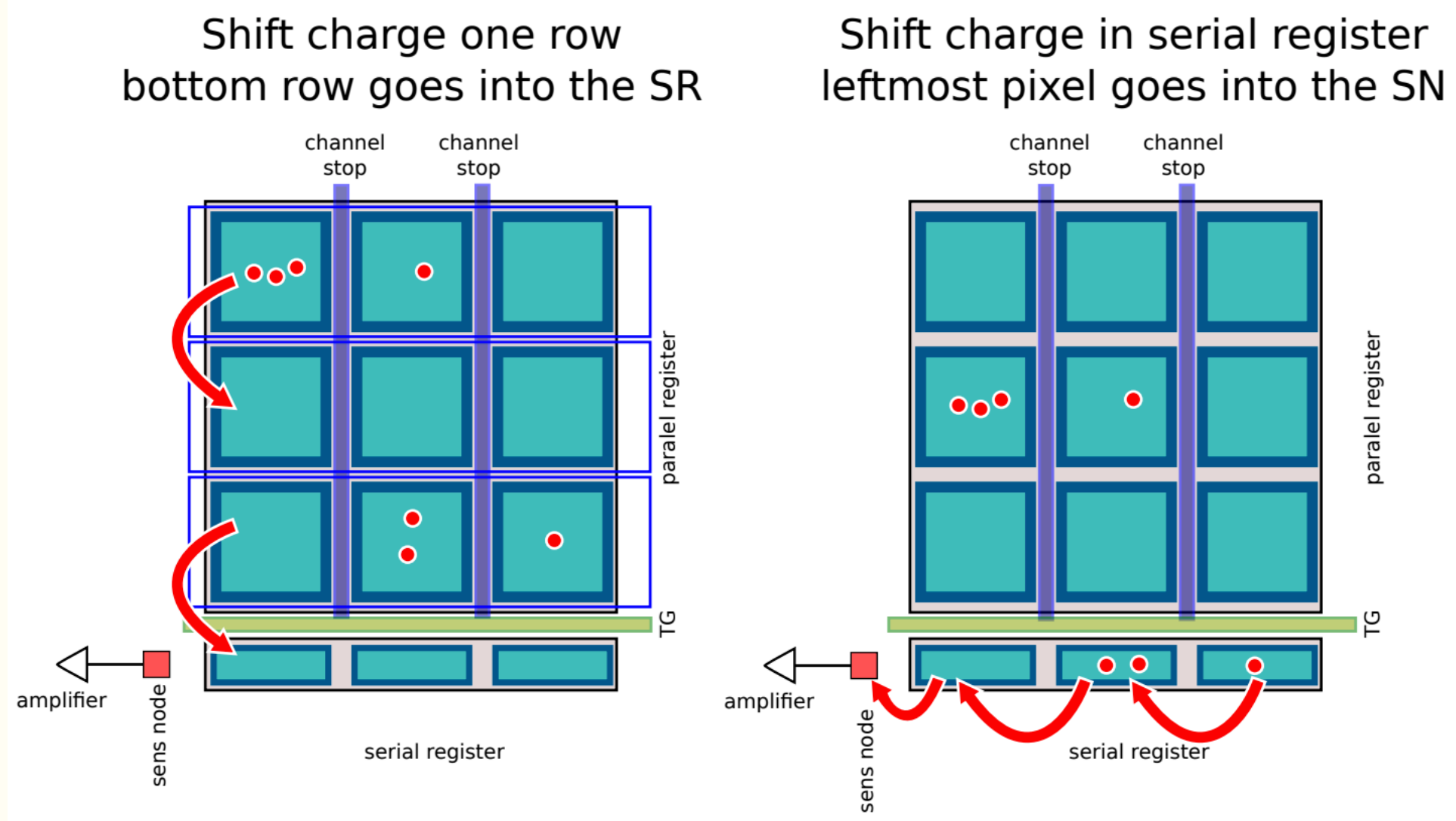
# Semiconductors: CCDs



# Semiconductors: CCDs

[Tiffenberg, Sofo-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]

### Cartoon of a 3x3 pixels CCD



# Skipper-CCDs: Single-Electron Frontier

- Ordinary CCDs have two sources that limit sensitivity:
  - Readout noise: 2 e-/pixel with ordinary science-grade CCDs.
  - Dark current: currently  $< 10^{-3}$  e-/pixel/day.
- Readout noise dominates and requires 11 e- threshold.



# Skipper-CCDs: Single-Electron Frontier

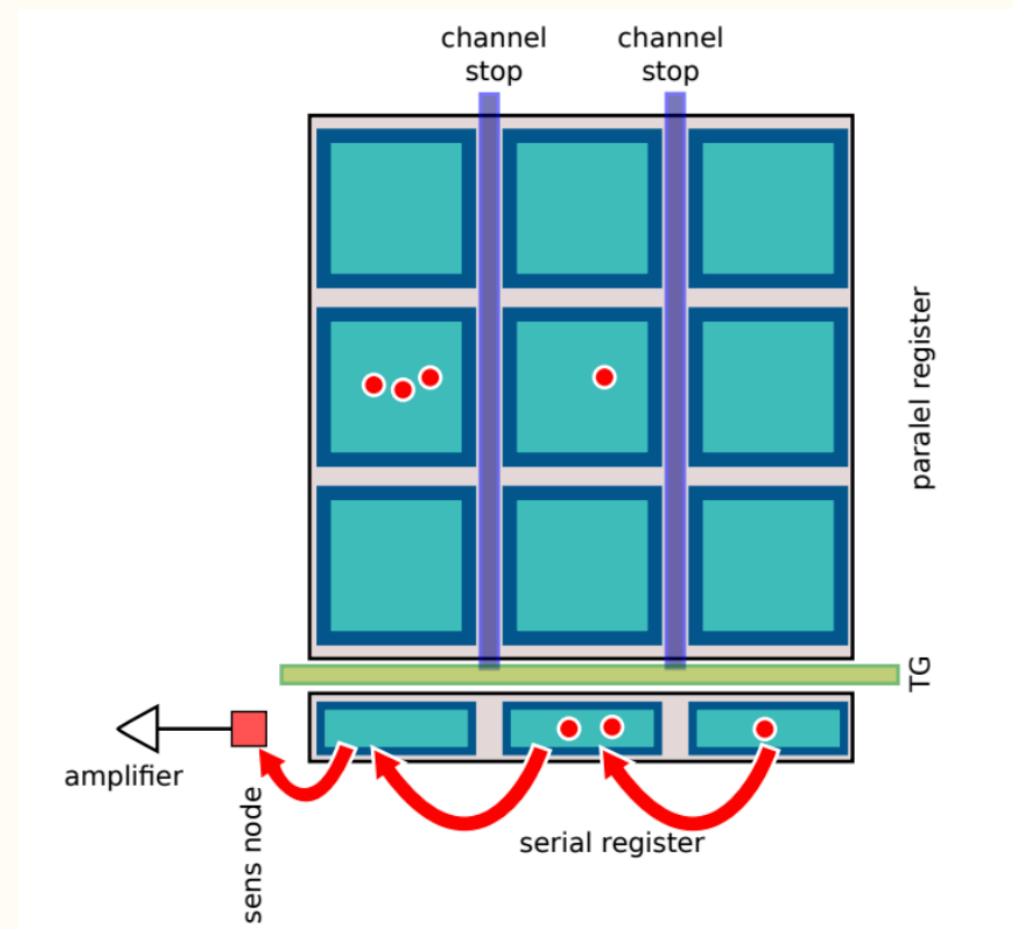
- Ordinary CCDs have two sources that limit sensitivity:
  - Readout noise: 2 e-/pixel with ordinary science-grade CCDs.
  - Dark current: currently  $< 10^{-3}$  e-/pixel/day.
- Readout noise dominates and requires 11 e- threshold.
- SENSEI technology: Skipper-CCD.

[Tiffenberg, Sofu-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]

- Developed at LBNL and Fermilab. Allows multiple reading of each pixel.

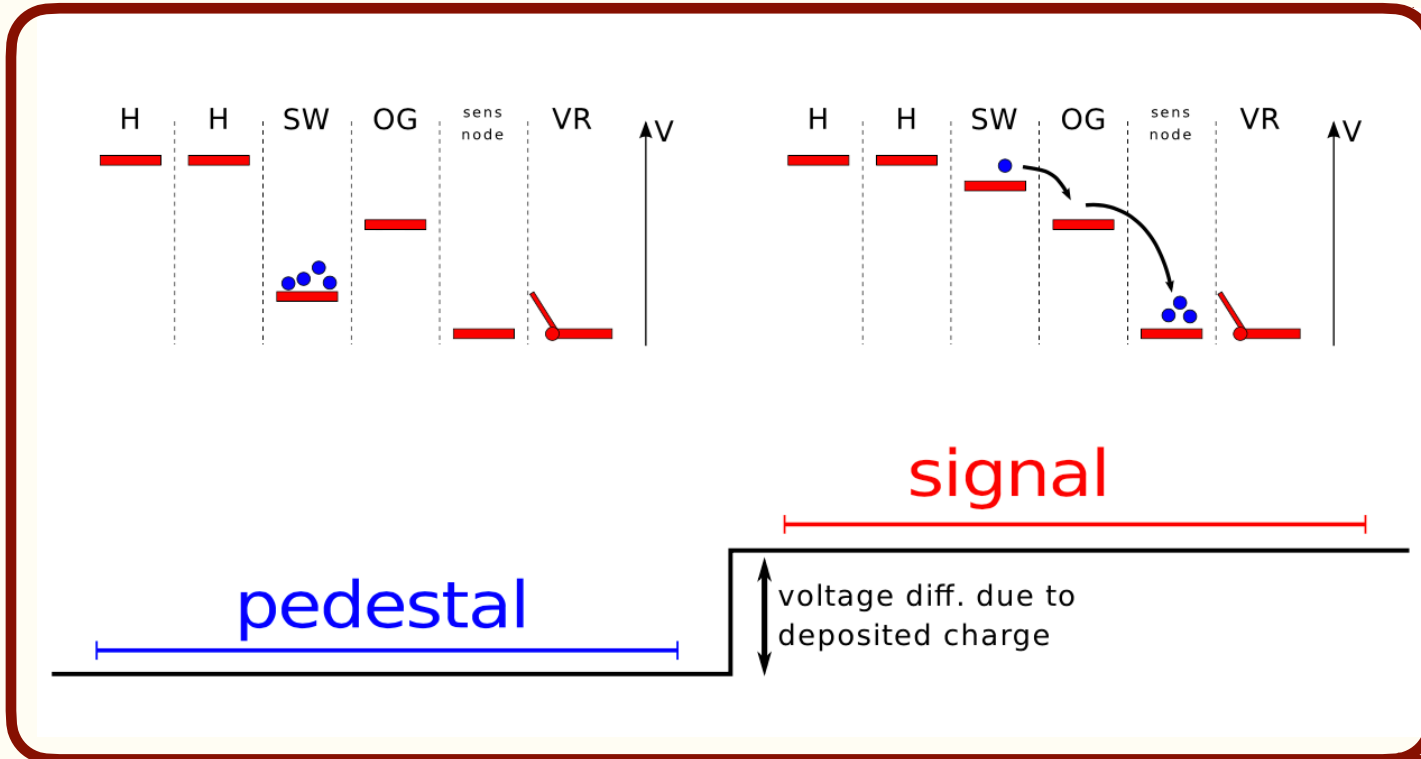
# Skipper-CCDs: Single-Electron Frontier

[Tiffenberg, Sofo-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]

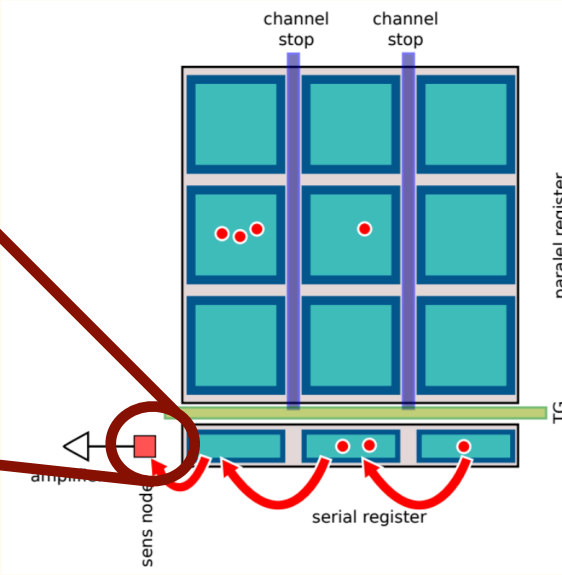


# Skipper-CCDs: Single-Electron Frontier

[Tiffenberg, Sofo-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]

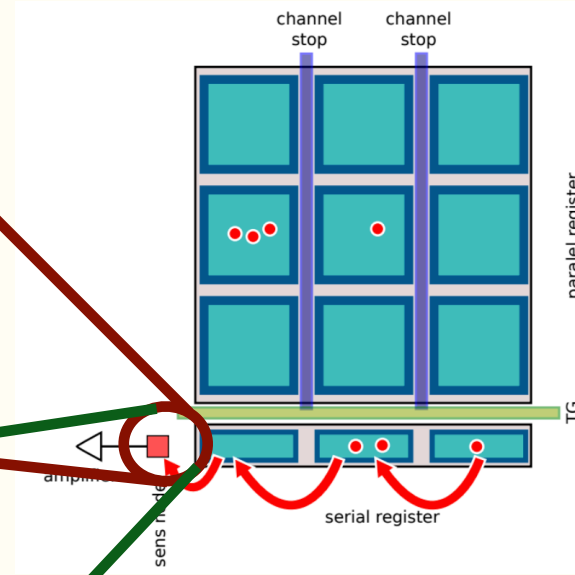
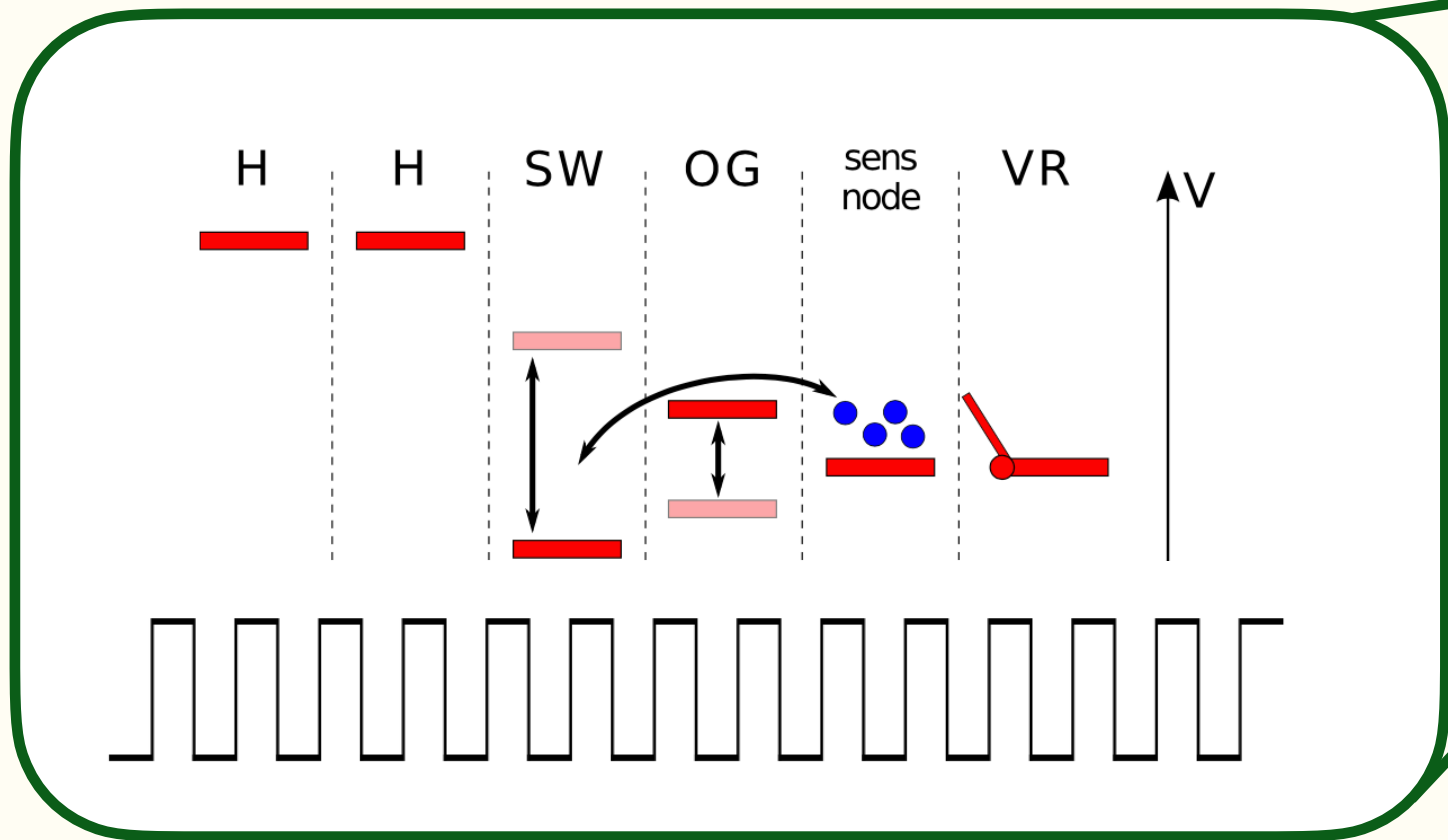
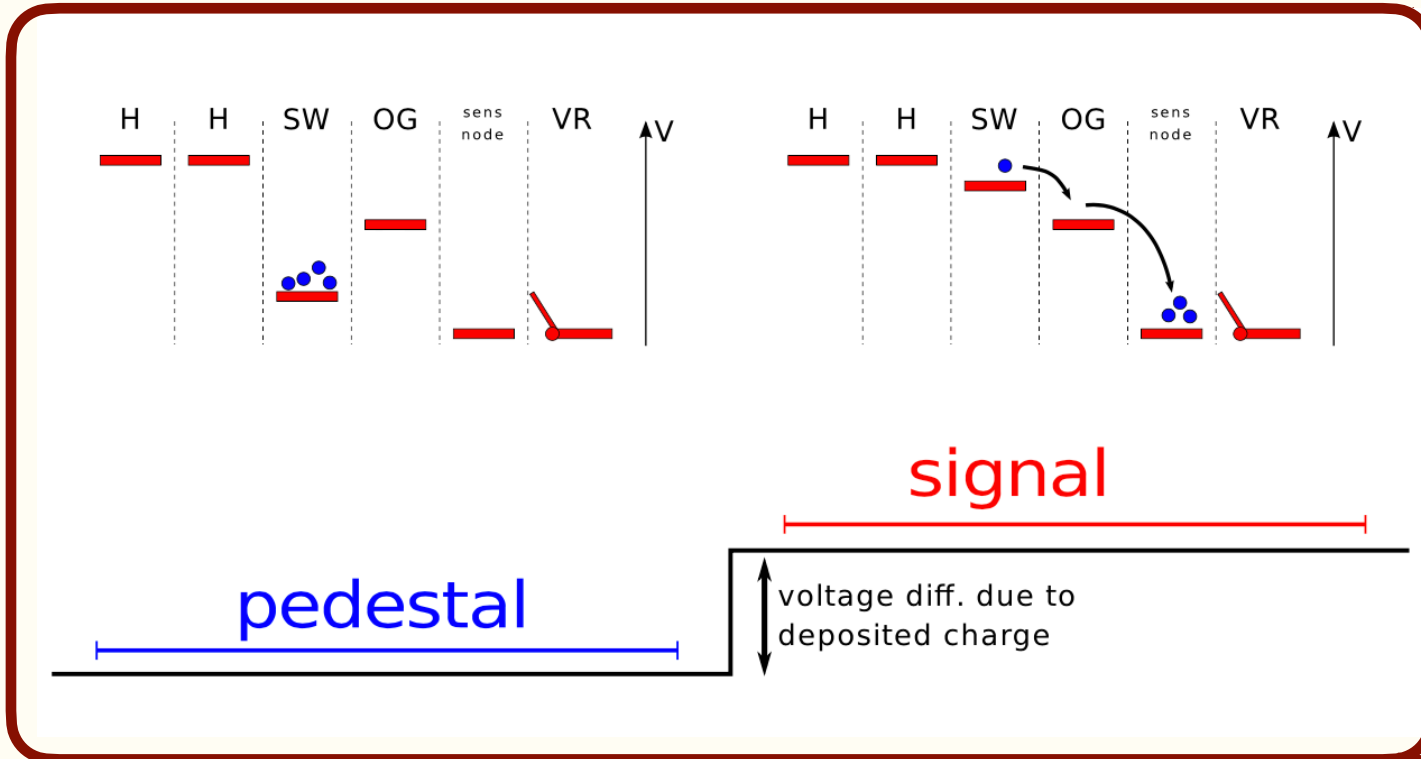


Regular CCD



# Skipper-CCDs: Single-Electron Frontier

[Tiffenberg, Sofo-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]



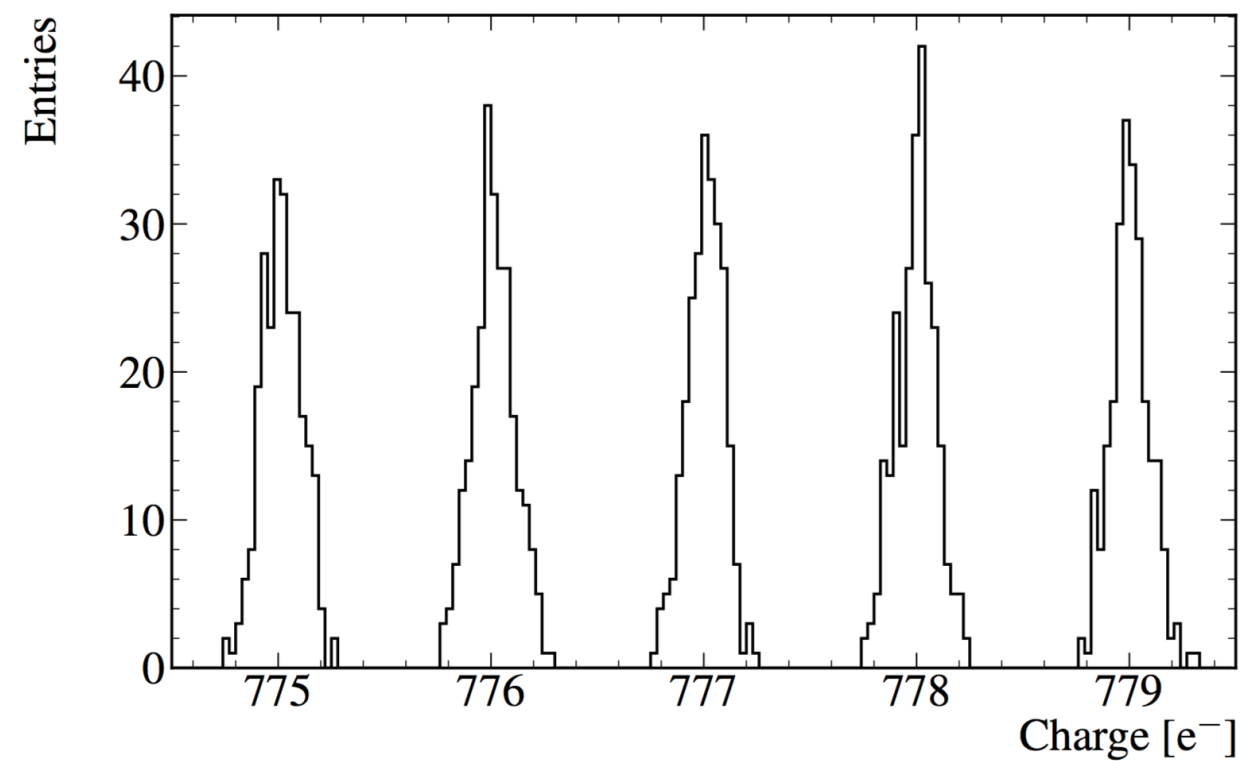
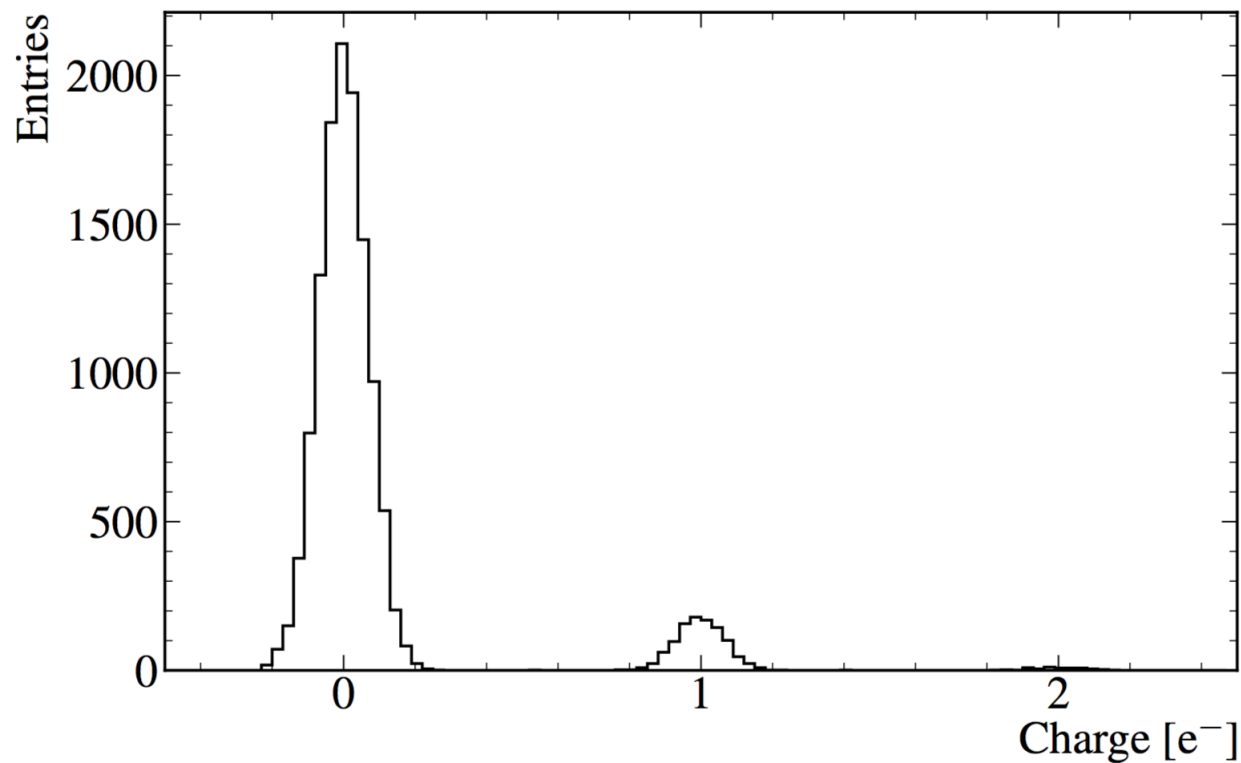
# Skipper-CCDs: Single-Electron Frontier

[Tiffenberg, Sofo-Haro, Drlica-Wagner, Essig, Guardincerri, Holland, TV, Yu, 2017]

Skipper CCDs Highly reduced readout noise ( $\sim 0.068$  e-/pixel)

$$\text{Pixel Value} = \frac{1}{N} \sum_i^N (\text{pixel sample})_i$$

Large dynamical range (up to 1500 e-'s per pixel)





# The SENSEI Collaboration



Liron Barak  
Yonathan Ben Gal  
Itay Bloch  
Erez Etzion  
Yaron Korn  
Aviv Orly  
Tomer Volansky

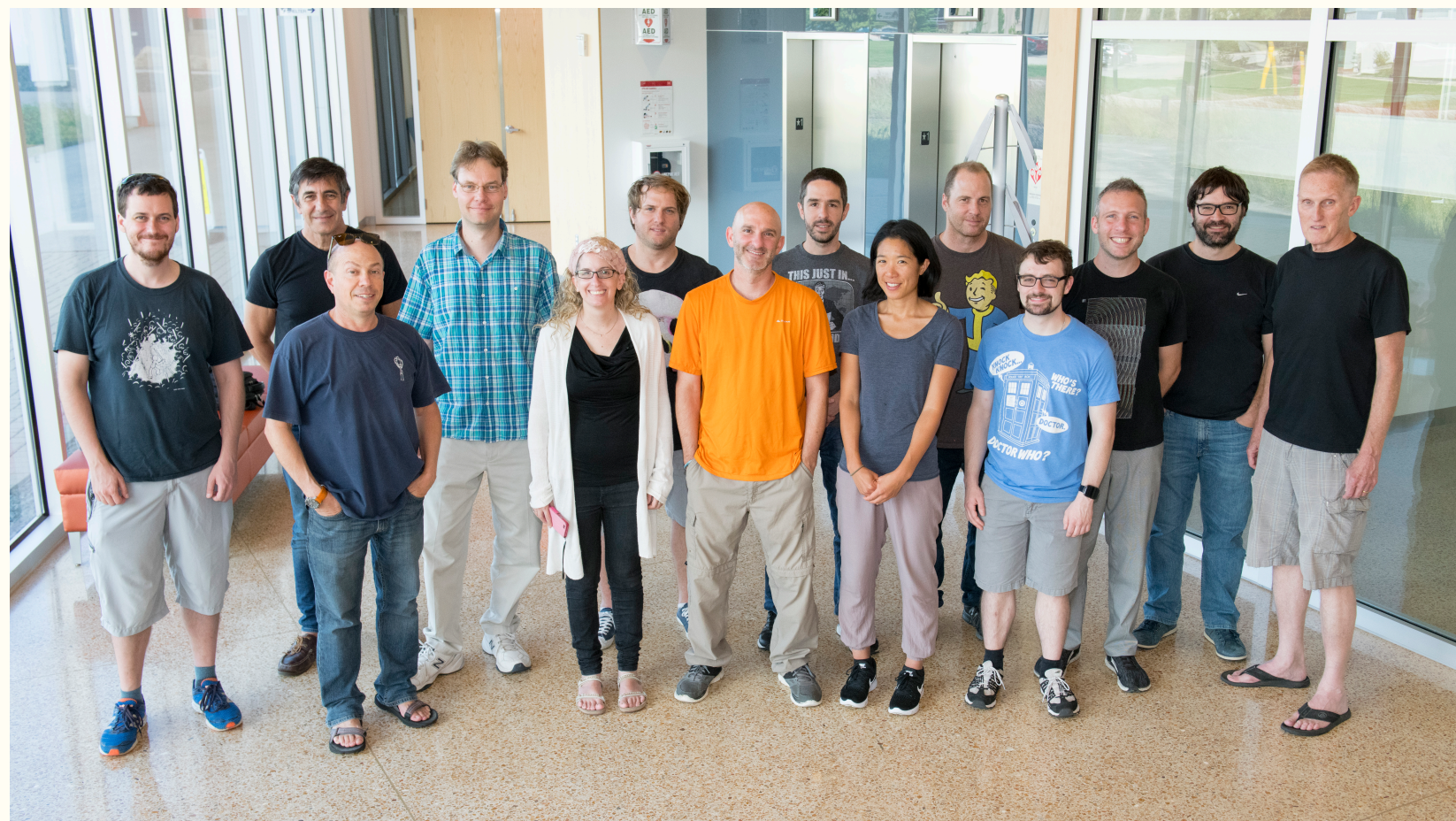
Ana Botti  
Gustavo Cancelo  
Fernando Chierchie  
Michael Crisler  
Alex Drilca-Wagner  
Juan Estrada  
Guillermo Fernandez  
Miguel Sofo-Haro  
Leandro Stefanazzi  
Sho Uemura  
Javier Tiffenberg

P. Adari  
A. Desai  
Rouven Essig  
Aman Singal

Tien-Tien Yu

Mariano Cababie  
Dario Rodrigues

Ian Lawson  
Silvia Scorza  
Steffon Luoma

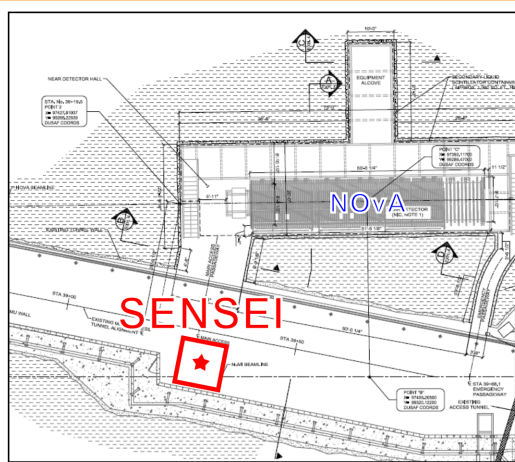
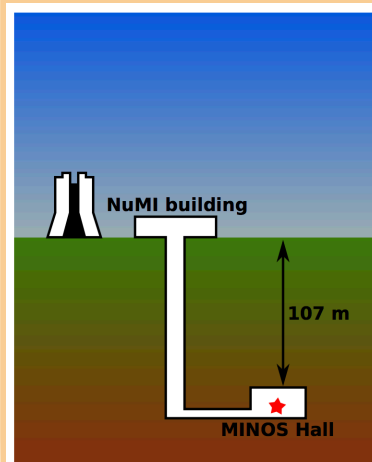




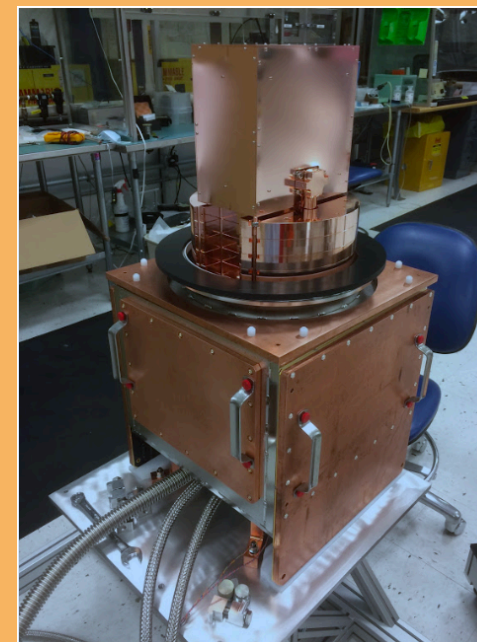
# The SENSEI Collaboration

## Skipper-CCDs in 4 locations

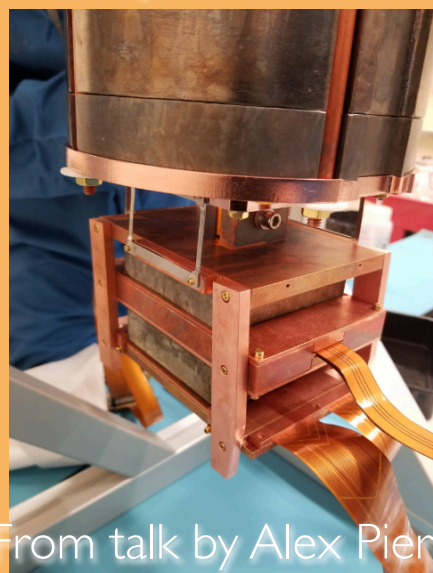
### Fermilab (MINOS Cavern)



### SNOLAB

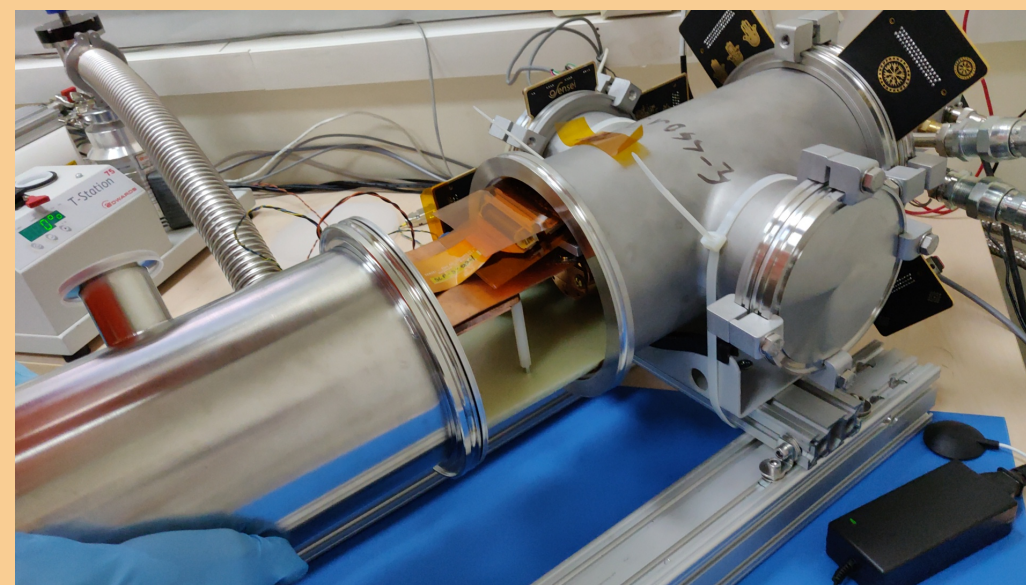


### DAMIC Vessel (SNOLAB) (currently not working)



From talk by Alex Piers

### Tel Aviv University



# The SENSEI Collaboration

2017

2018

2019

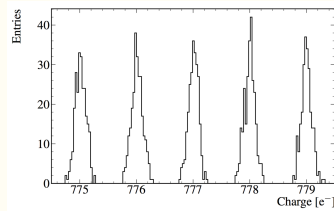
2020

2021

2022

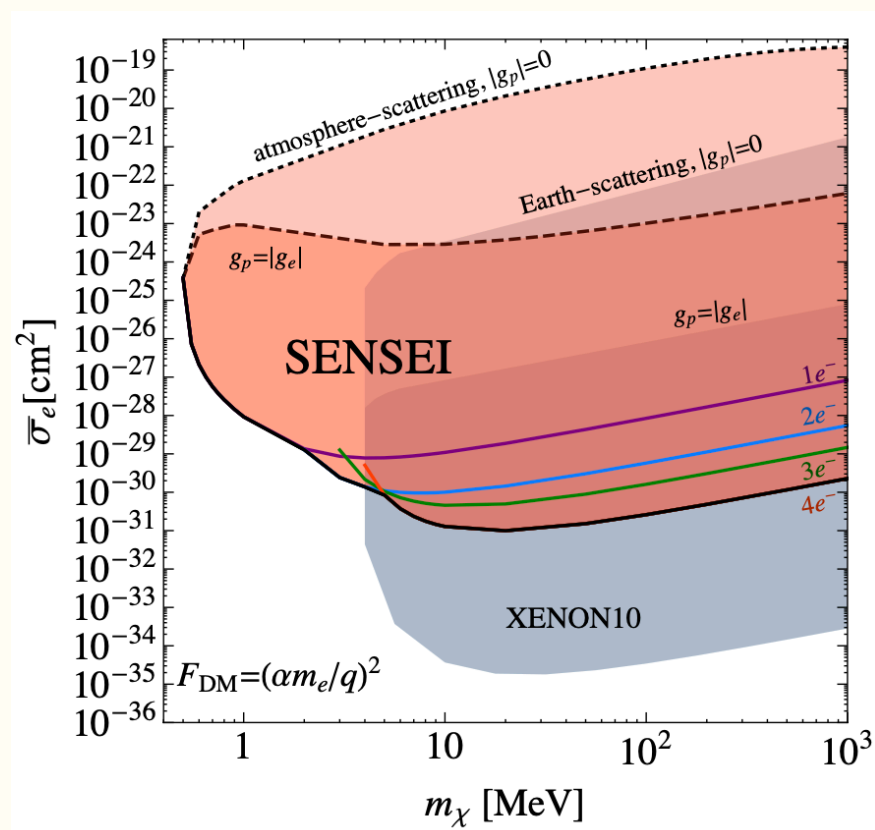
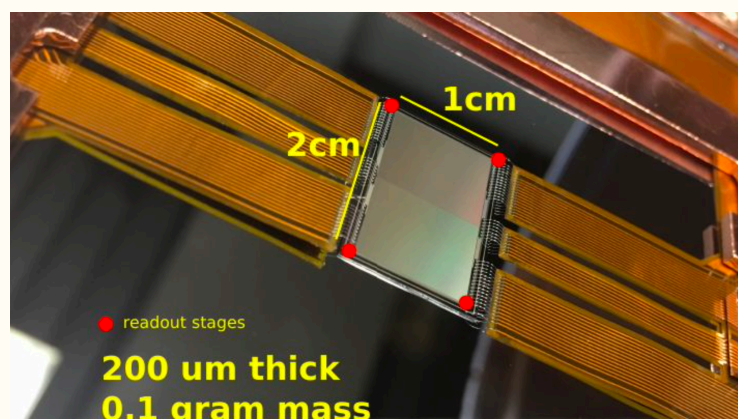
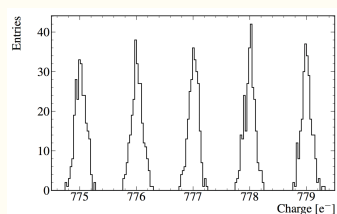
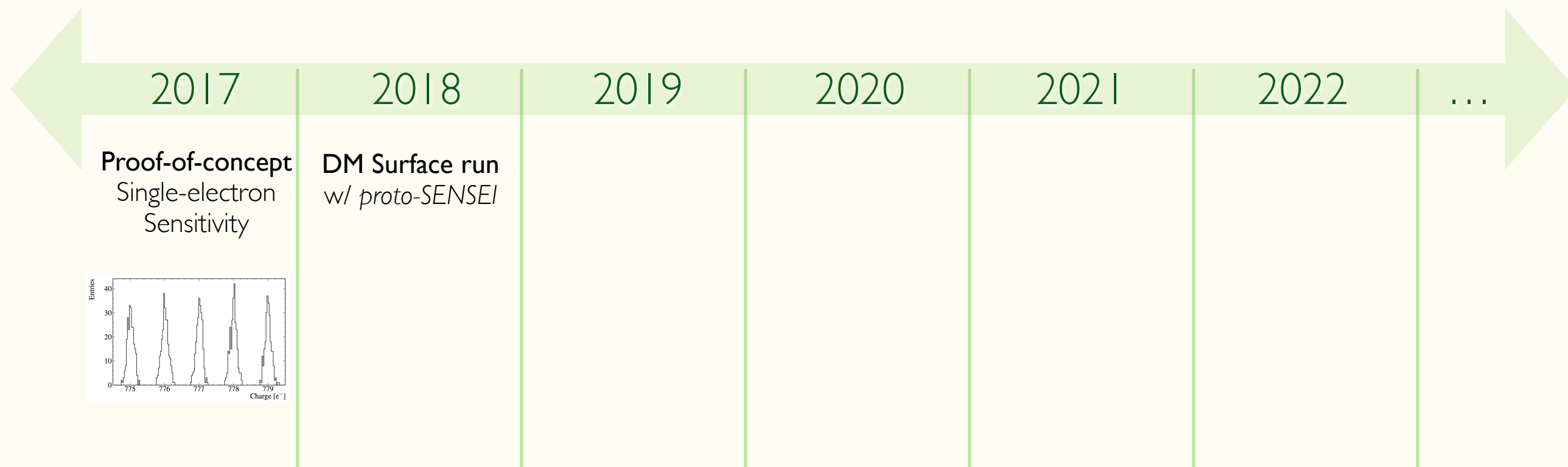
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**Proof-of-concept**  
Single-electron  
Sensitivity

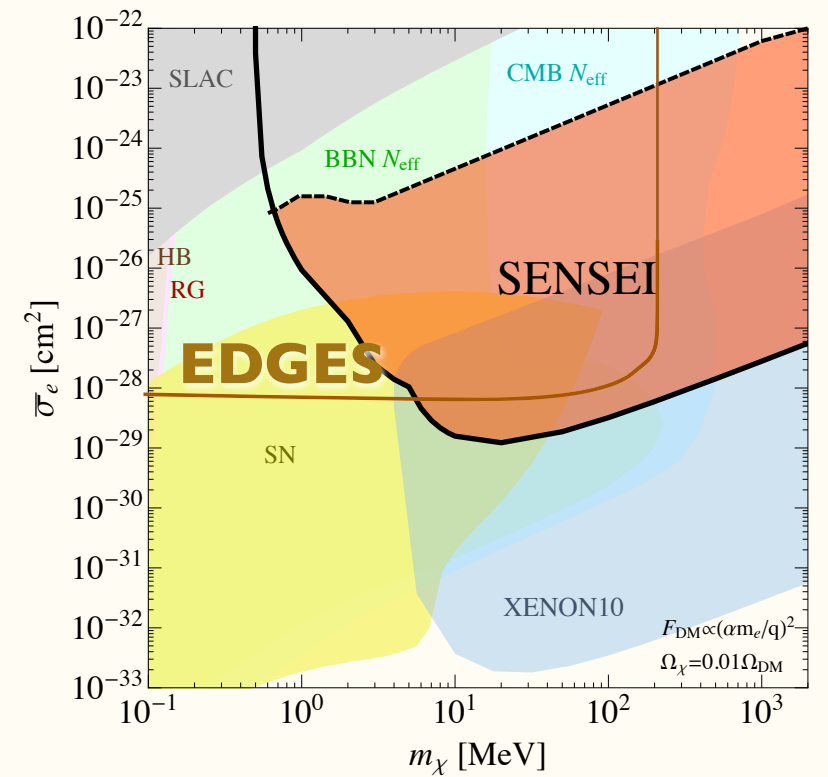
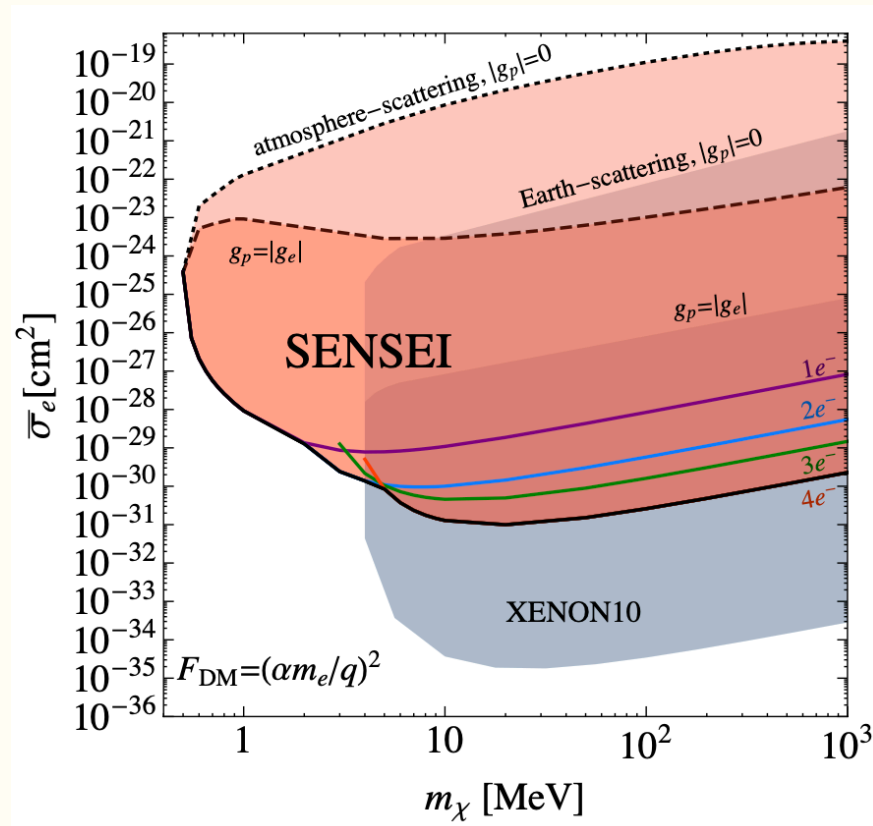
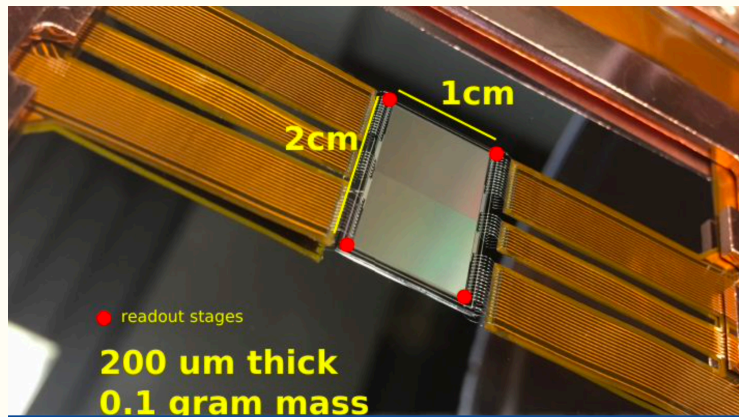
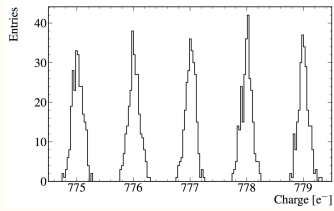
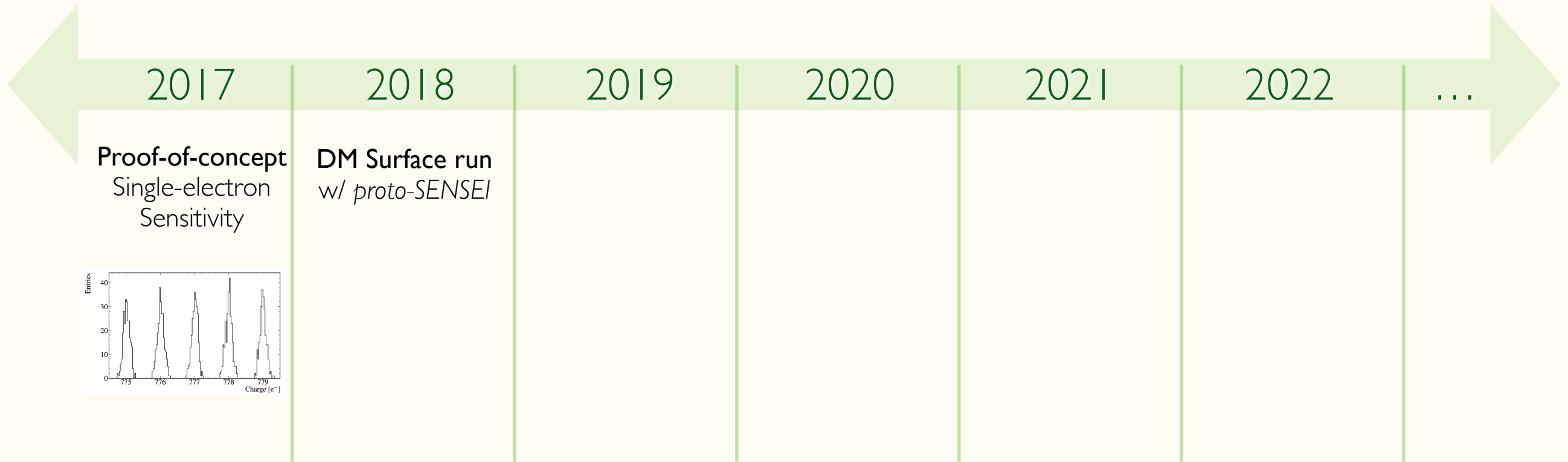




# The SENSEI Collaboration



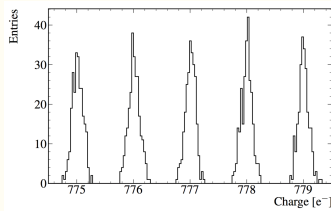
# The SENSEI Collaboration



# The SENSEI Collaboration

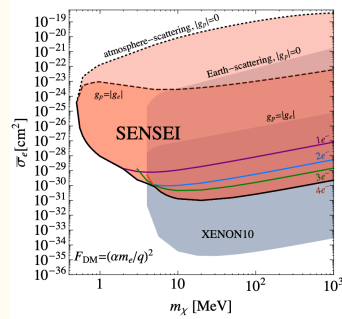
2017

Proof-of-concept  
Single-electron  
Sensitivity



2018

DM Surface run  
w/ *proto-SENSEI*



2019

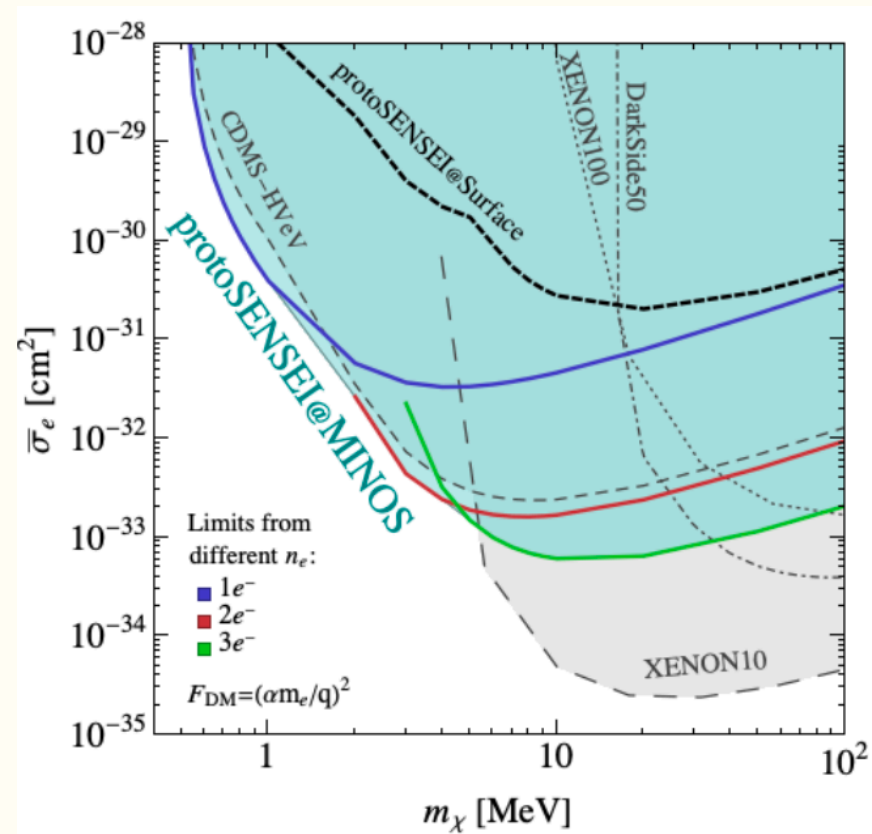
DM MINOS run  
w/ *proto-SENSEI*

2020

2021

2022

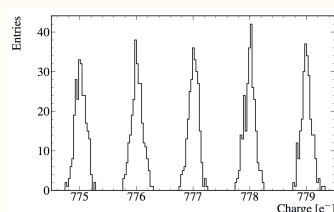
...



# The SENSEI Collaboration

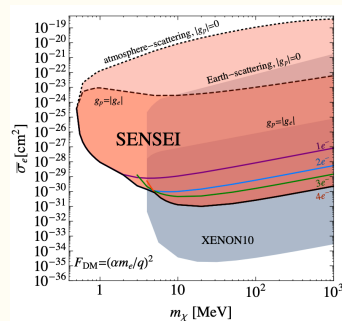
2017

Proof-of-concept  
Single-electron  
Sensitivity



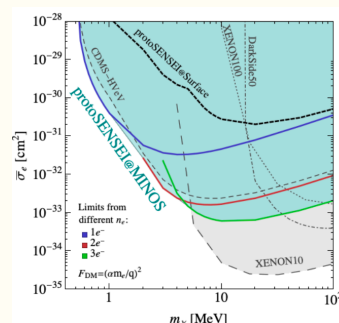
2018

DM Surface run  
w/ *proto-SENSEI*



2019

DM MINOS run  
w/ *proto-SENSEI*



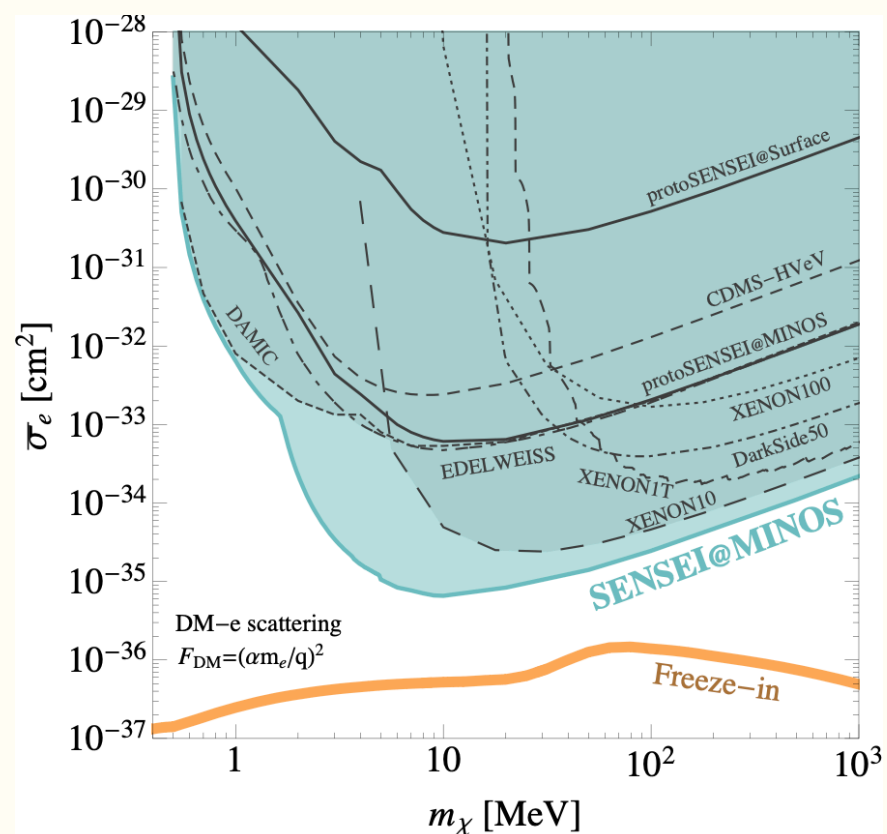
2020

DM MINOS run  
w/ science-grade  
SENSEI

2021

2022

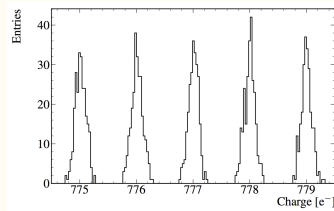
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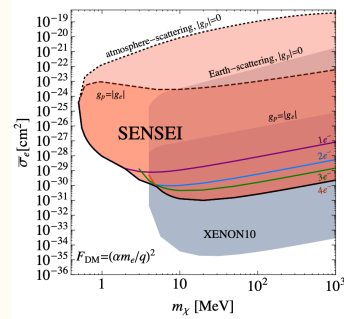
2017

Proof-of-concept  
Single-electron  
Sensitivity



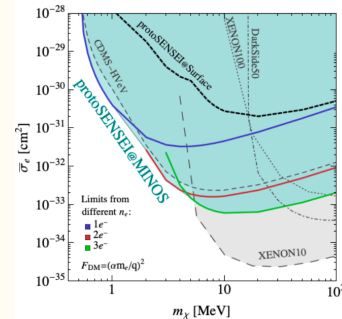
2018

DM Surface run  
w/ *proto-SENSEI*



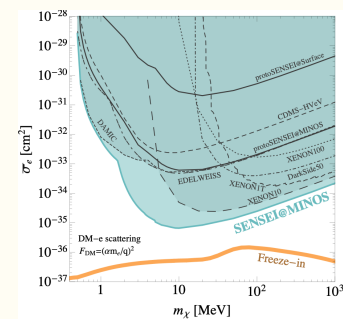
2019

DM MINOS run  
w/ *proto-SENSEI*



2020

DM MINOS run  
w/ *science-grade*  
SENSEI



2021

Background  
Characterization  
w/ *science-grade*  
SENSEI

2022

...







# SENSEI: 2020 DM Result



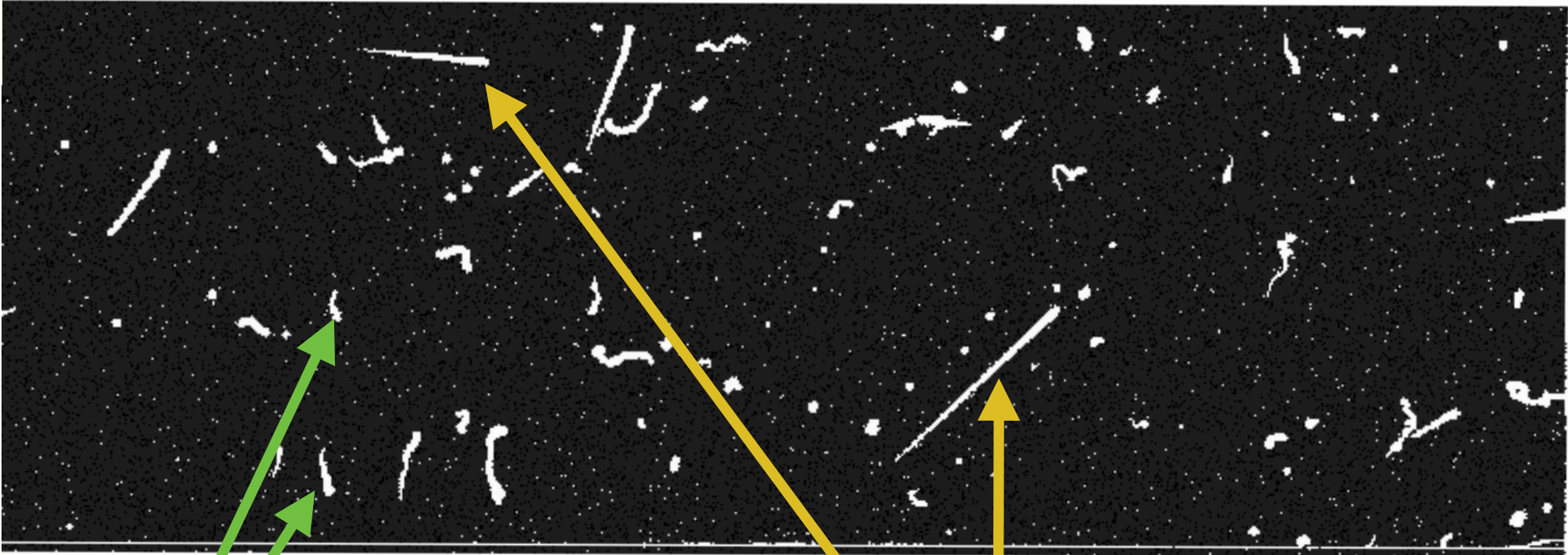


# SENSEI: 2020 DM Result



Electron

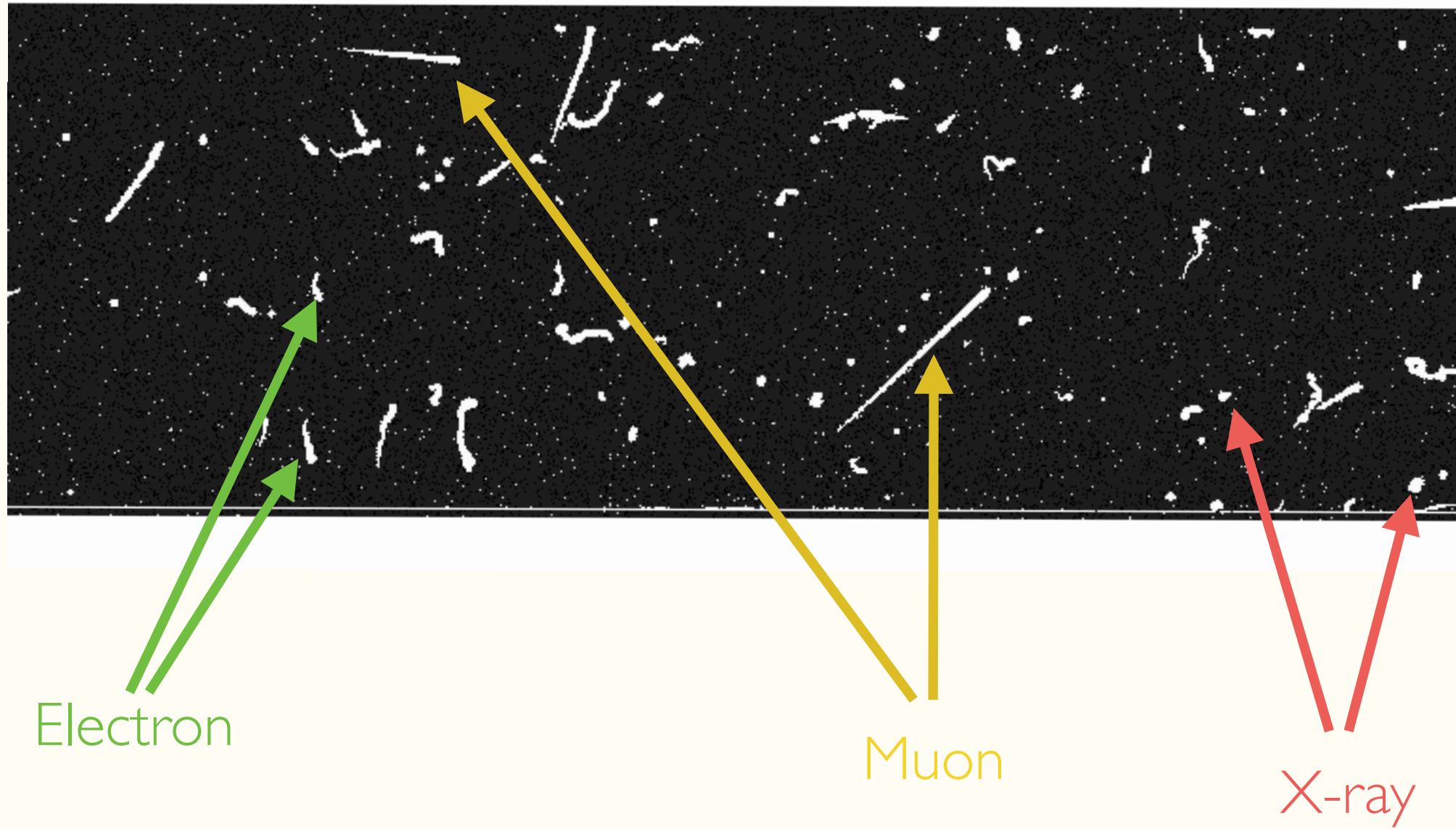
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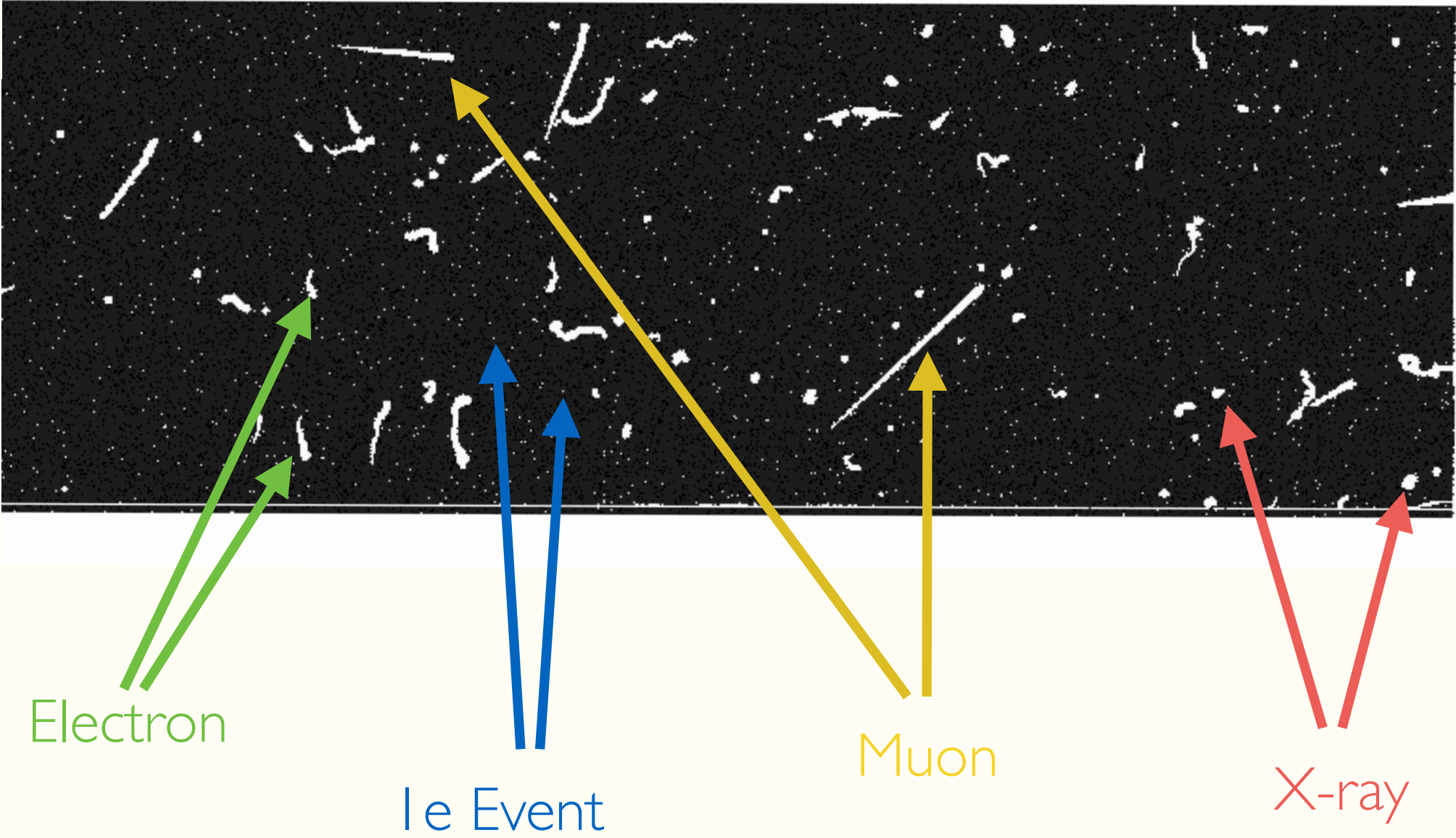
Electron

Muon

# SENSEI: 2020 DM Result



# SENSEI: 2020 DM Result



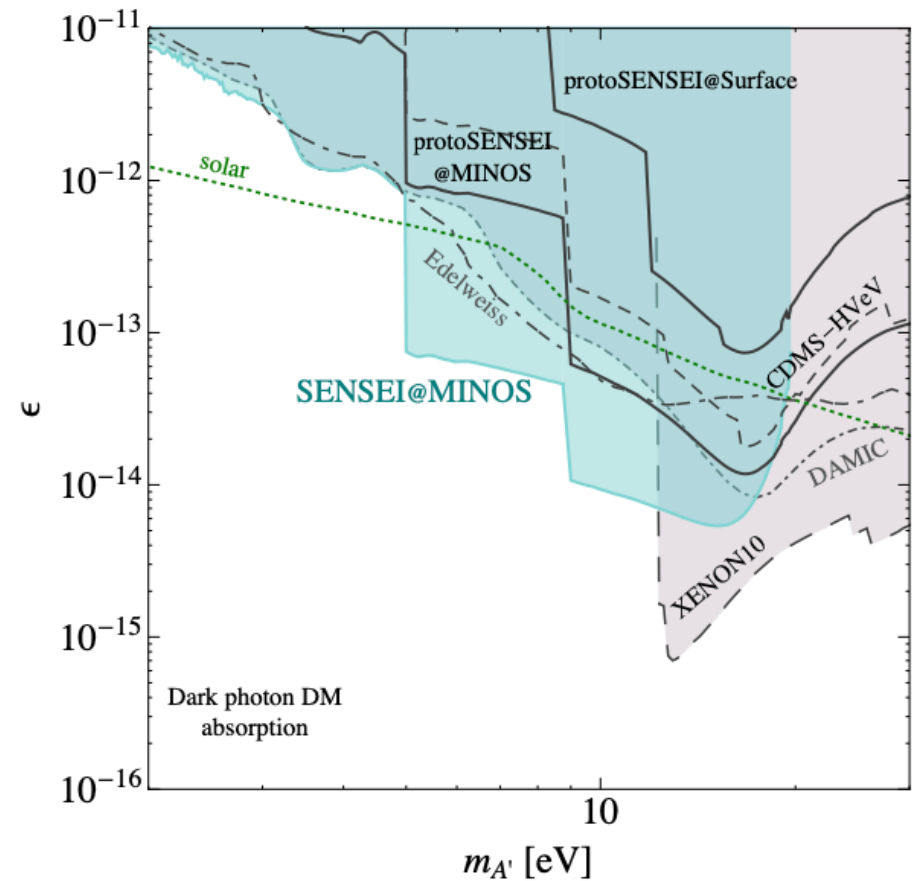
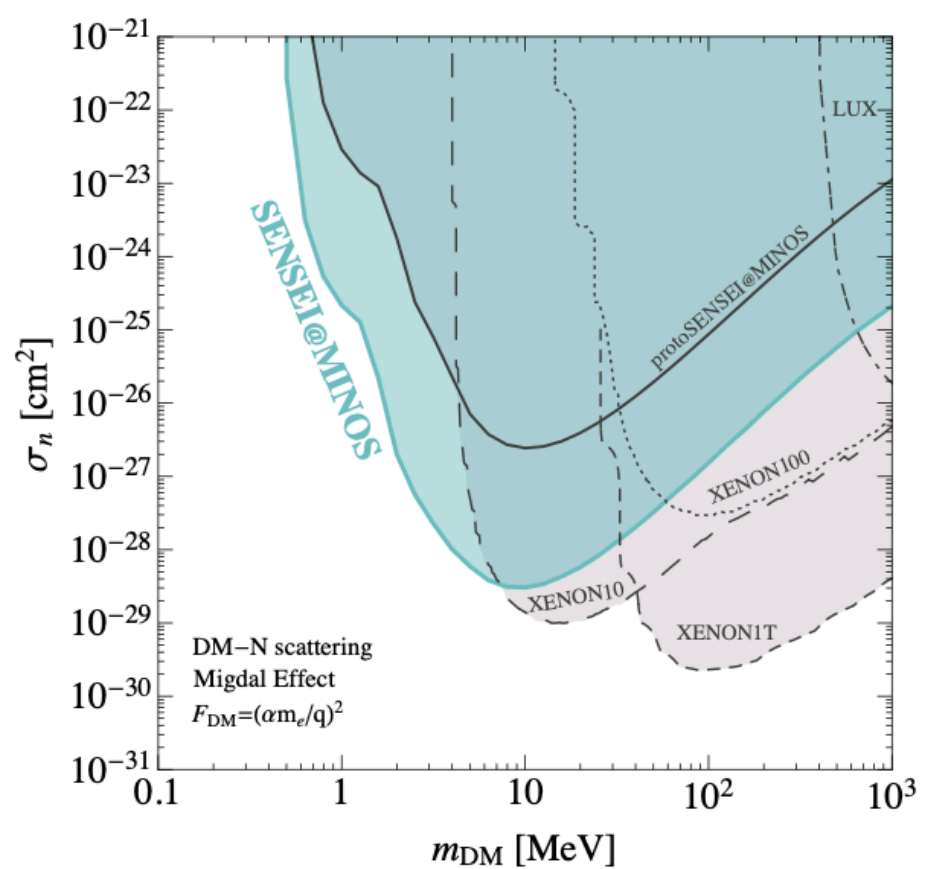
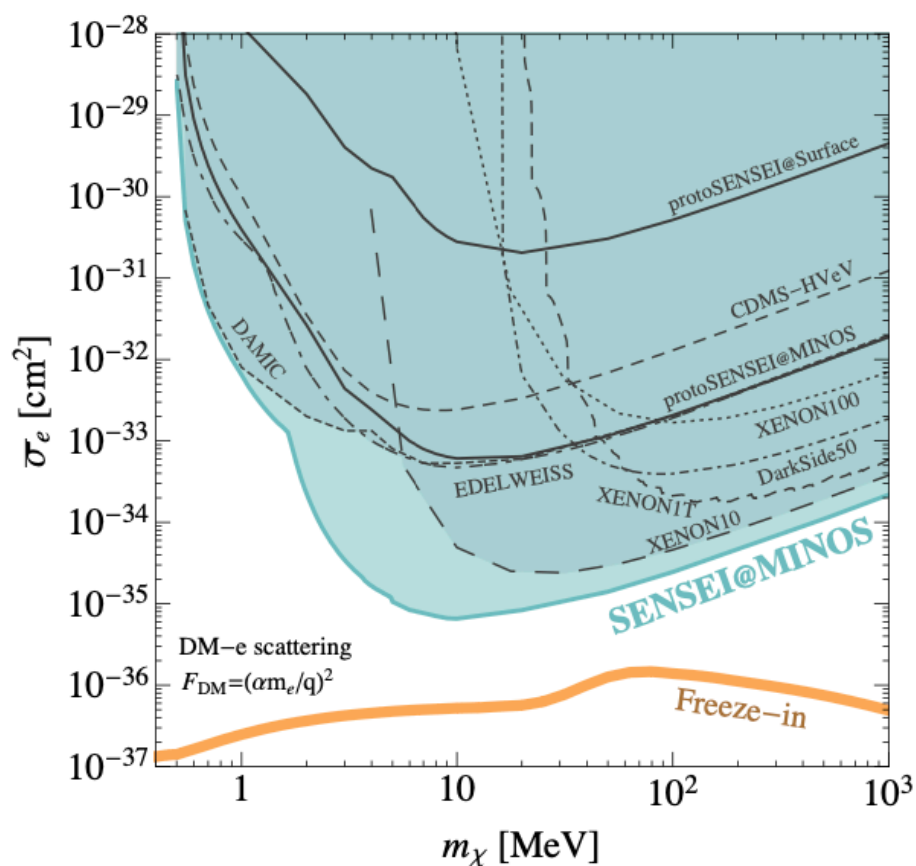
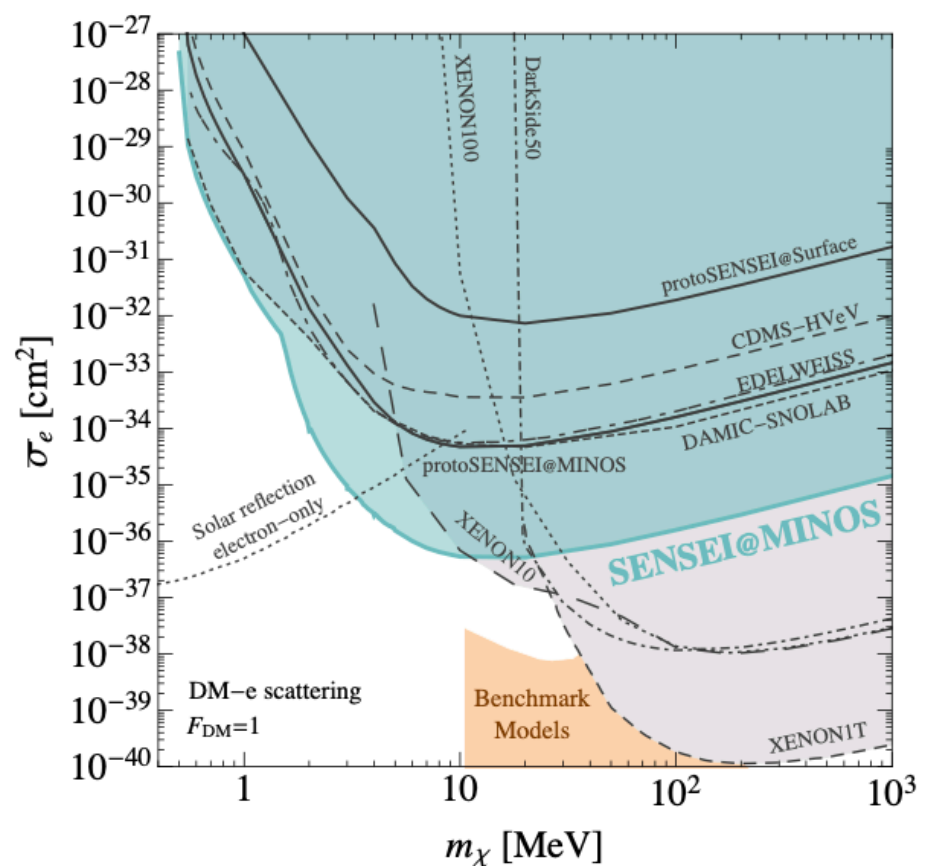


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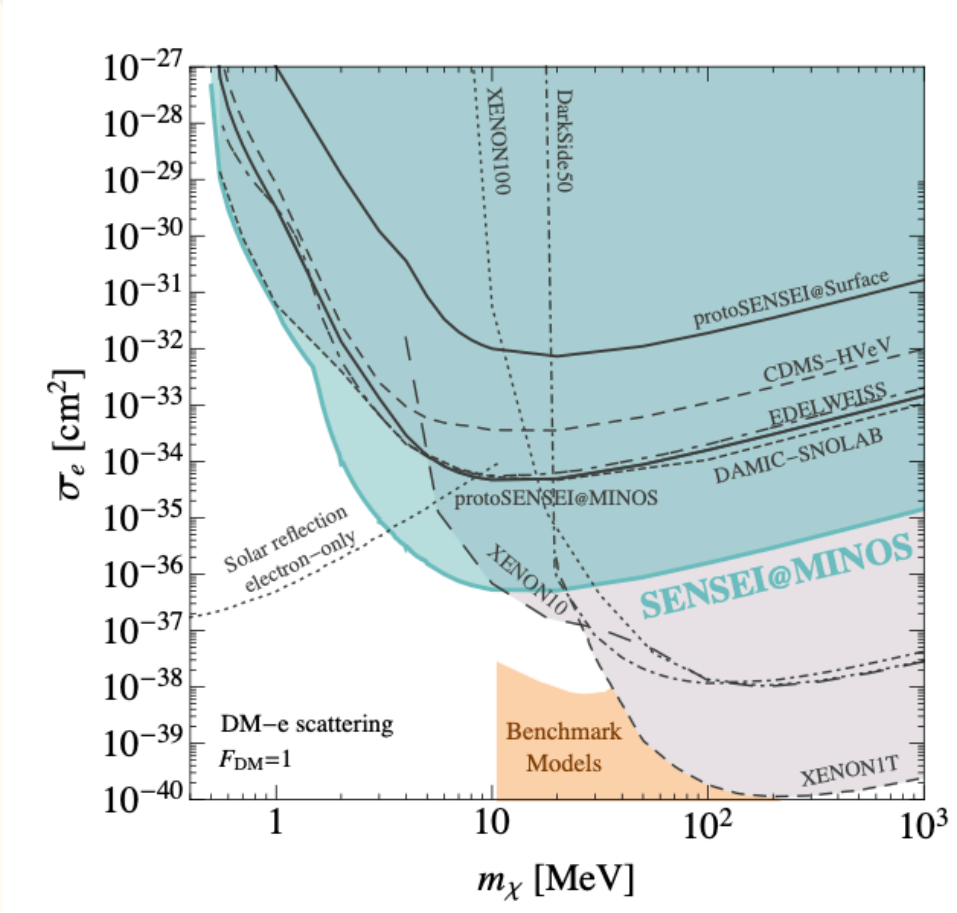


$N_e$	1		2		3		4	
Cuts								
1. Charge Diffusion	1.0		0.228		0.761		0.778	
	Eff.	#Ev	Eff.	#Ev	Eff.	#Ev	Eff.	#Ev
2. Readout Noise	1	$> 10^5$	1	58547	1	327	1	155
3. Crosstalk	0.99	$> 10^5$	0.99	58004	0.99	314	0.99	153
4. Serial Register	$\sim 1$	$> 10^5$	$\sim 1$	57250	$\sim 1$	201	$\sim 1$	81
5. Low-E Cluster	0.94	42284	0.94	301	0.69	35	0.69	7
6. Edge	0.70	25585	0.90	70	0.93	8	0.93	2
7. Bleeding Zone	0.60	11317	0.79	36	0.87	7	0.87	2
8. Bad Pixel/Col.	0.98	10711	0.98	24	0.98	2	0.98	0
9. Halo	0.18	1335	0.81	11	$\sim 1$	2	$\sim 1$	0
10. Loose Cluster	N/A		0.89	5	0.84	0	0.84	0
11. Neighbor	$\sim 1$	1329	$\sim 1$	5	N/A			
Total Efficiency	0.069		0.105		0.341		0.349	
Eff. Efficiency	0.069		0.105		0.325		0.327	
Eff. Exp. [g-day]	1.38		2.09		9.03		9.10	
Observed Events	1311.7 <sup>(*)</sup>		5		0		0	
90%CL [g-day] <sup>-1</sup>	525.2 <sup>(*)</sup>		4.449		0.255		0.253	

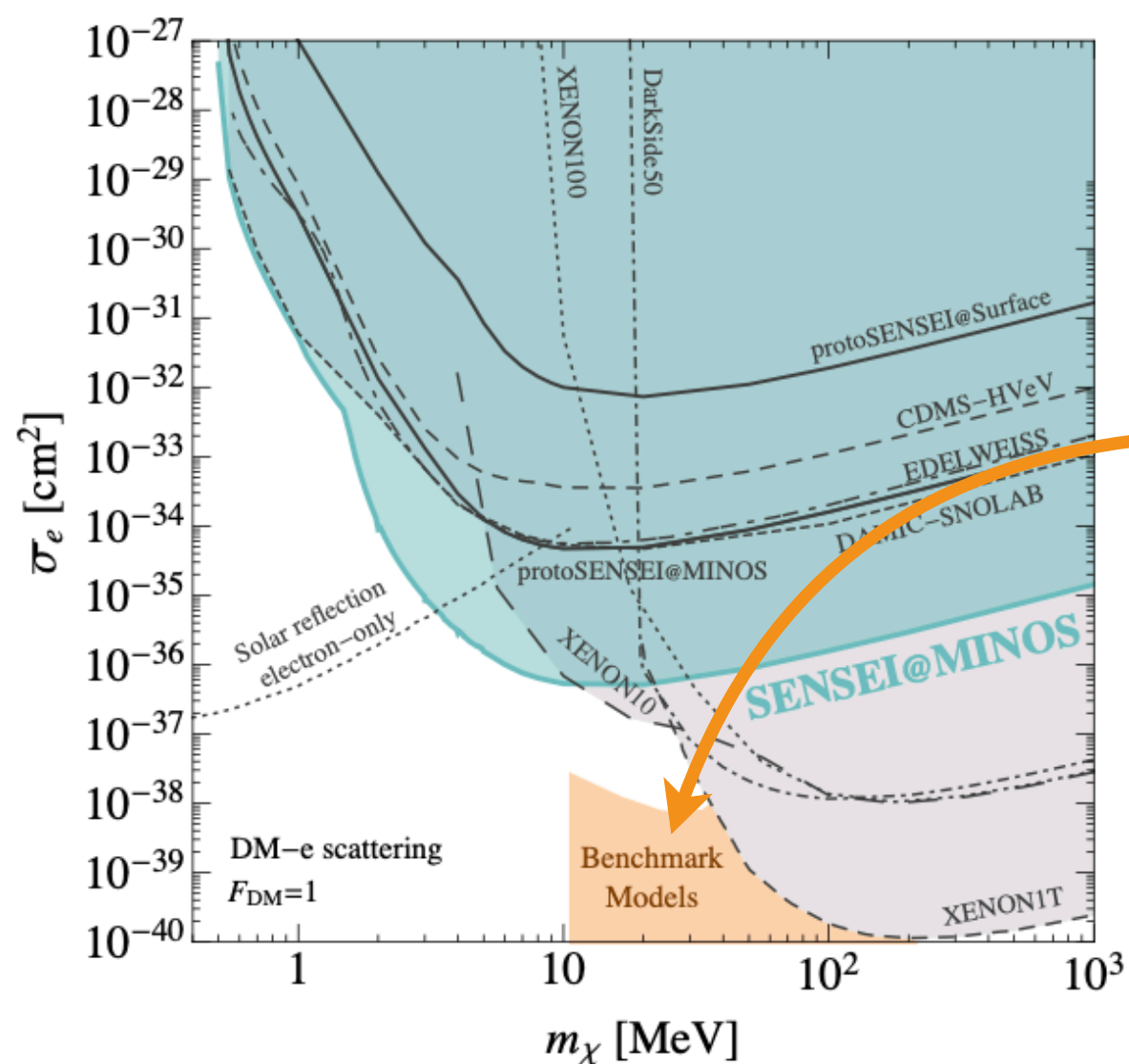
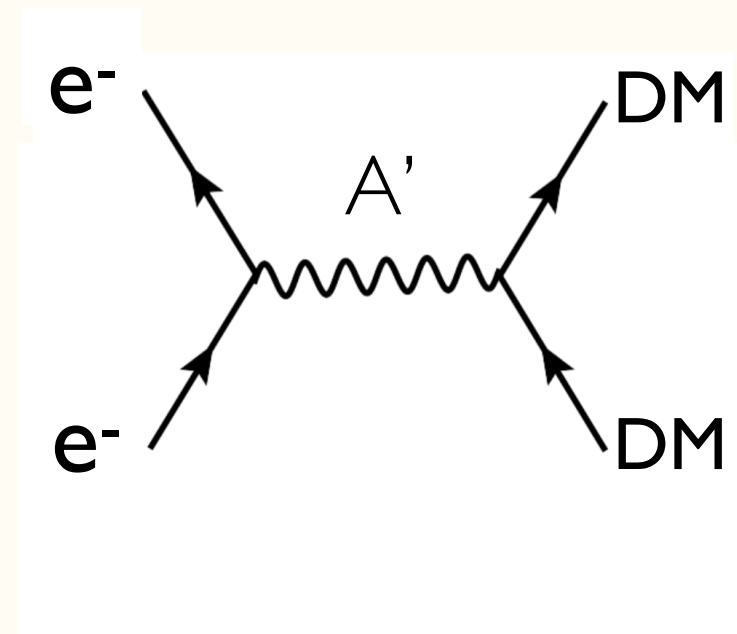
# SENSEI: 2020 DM Result



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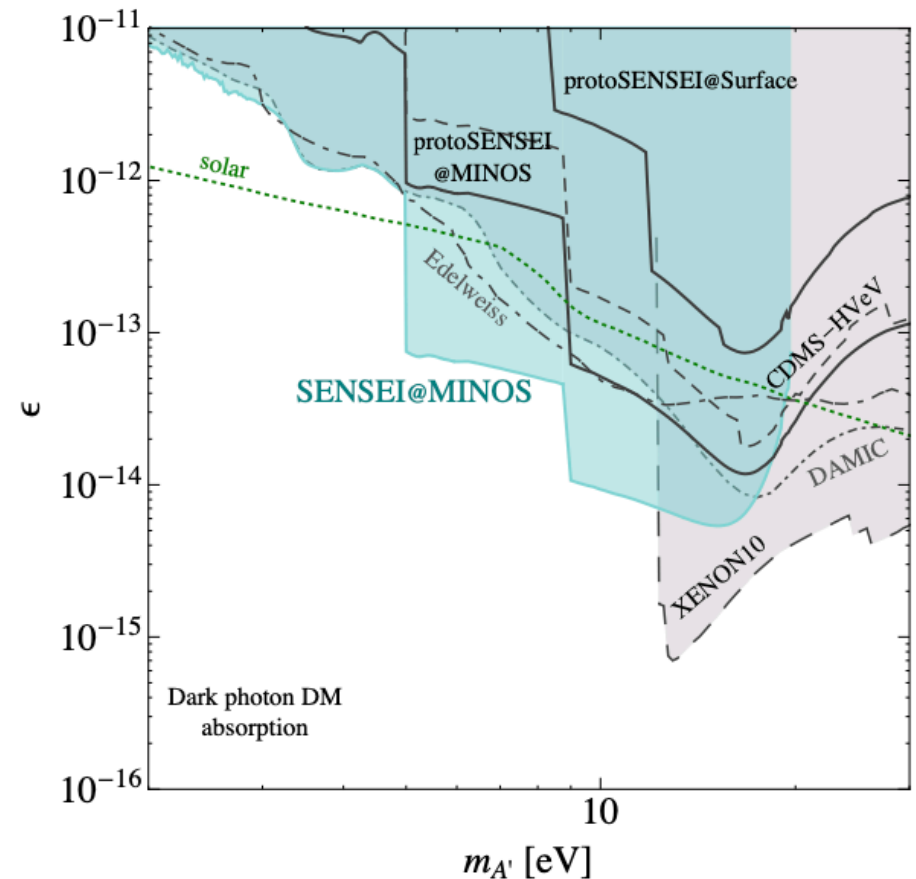
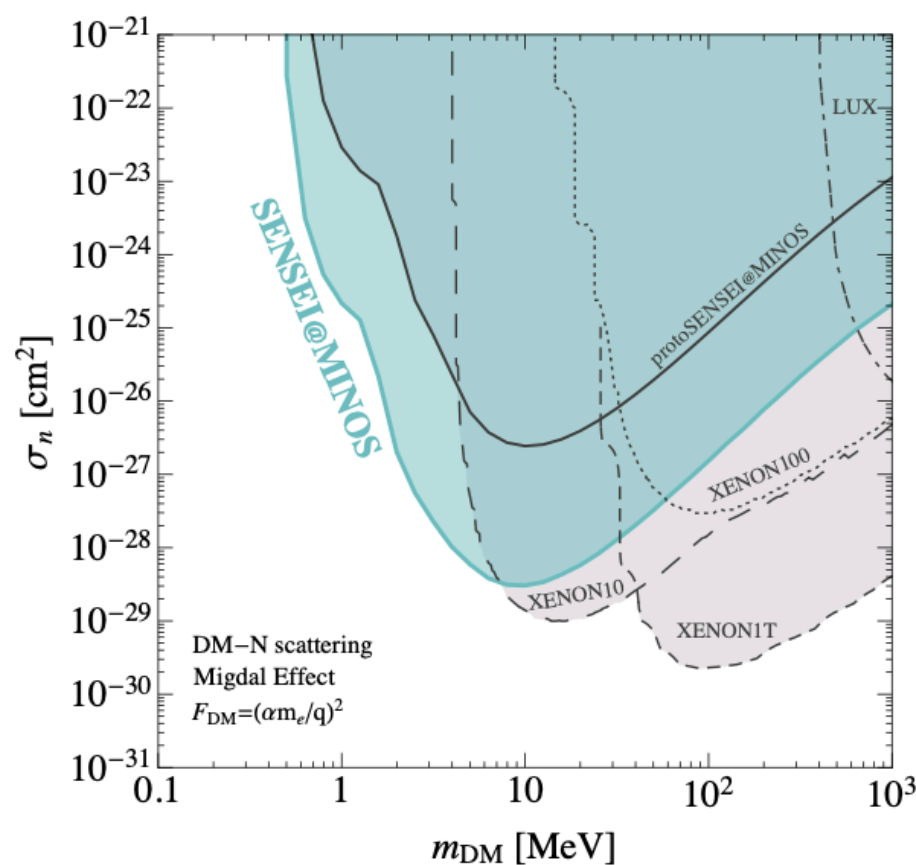
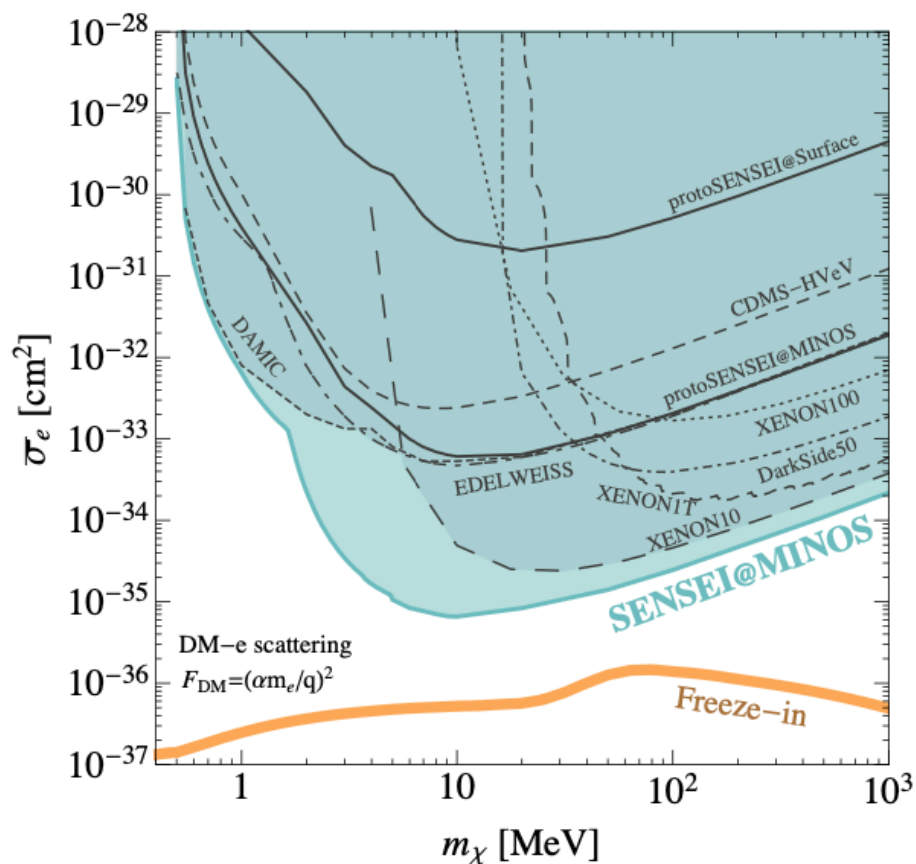
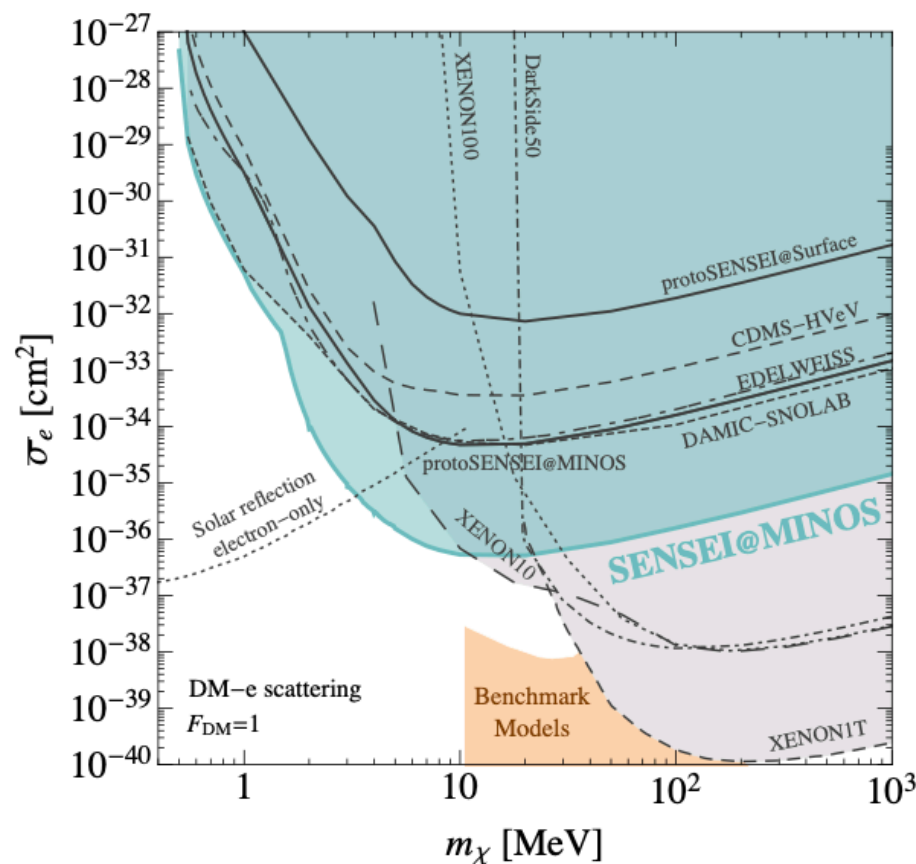
## Heavy mediator models

Many production mechanisms:  
asymmetric, 2-2 & 3-2 freeze-out, etc.

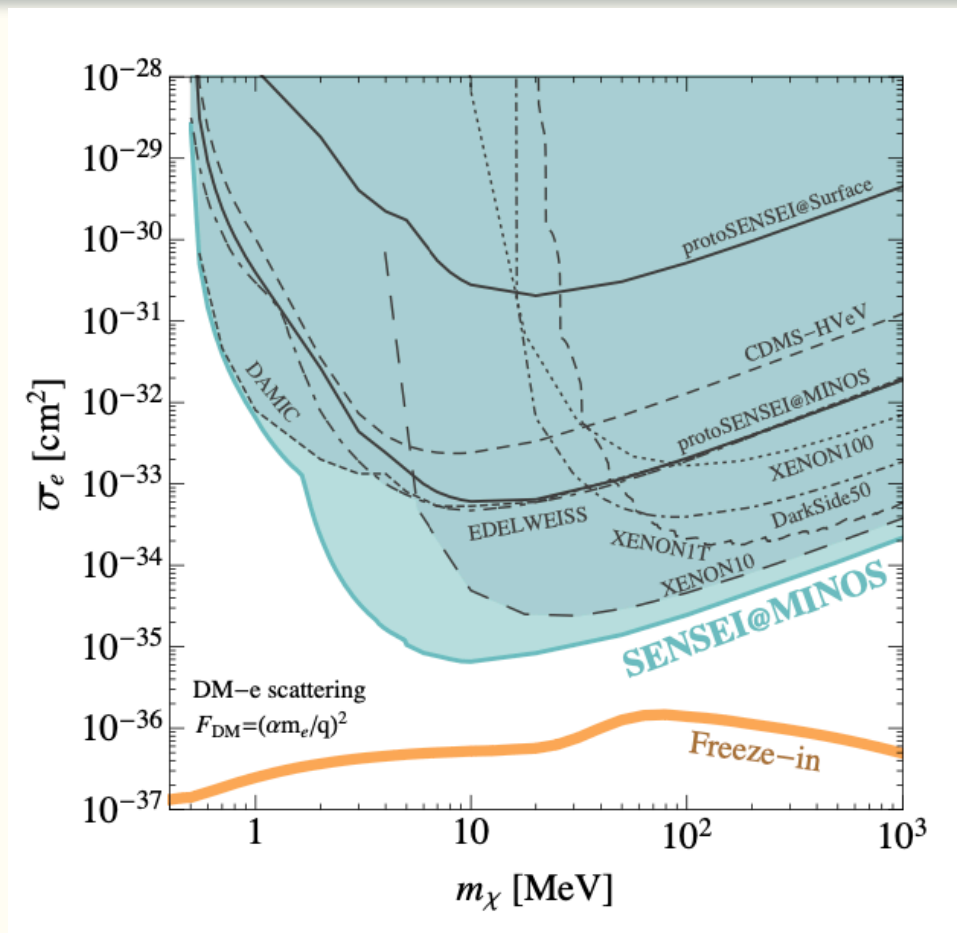
- Boehm, Fayet 2003
- Essig, Mardon, TV 2011
- Essig, Fernandez-Serra, Soto, Mardon, TV, Yu 2015
- Hochberg, Kuflik, TV, Wacker, 2014
- Kuflik, Perelstein, Lorier, Tsai, 2017
- D'Agnolo, Pappadopulo, Ruderman, 2019
- ...



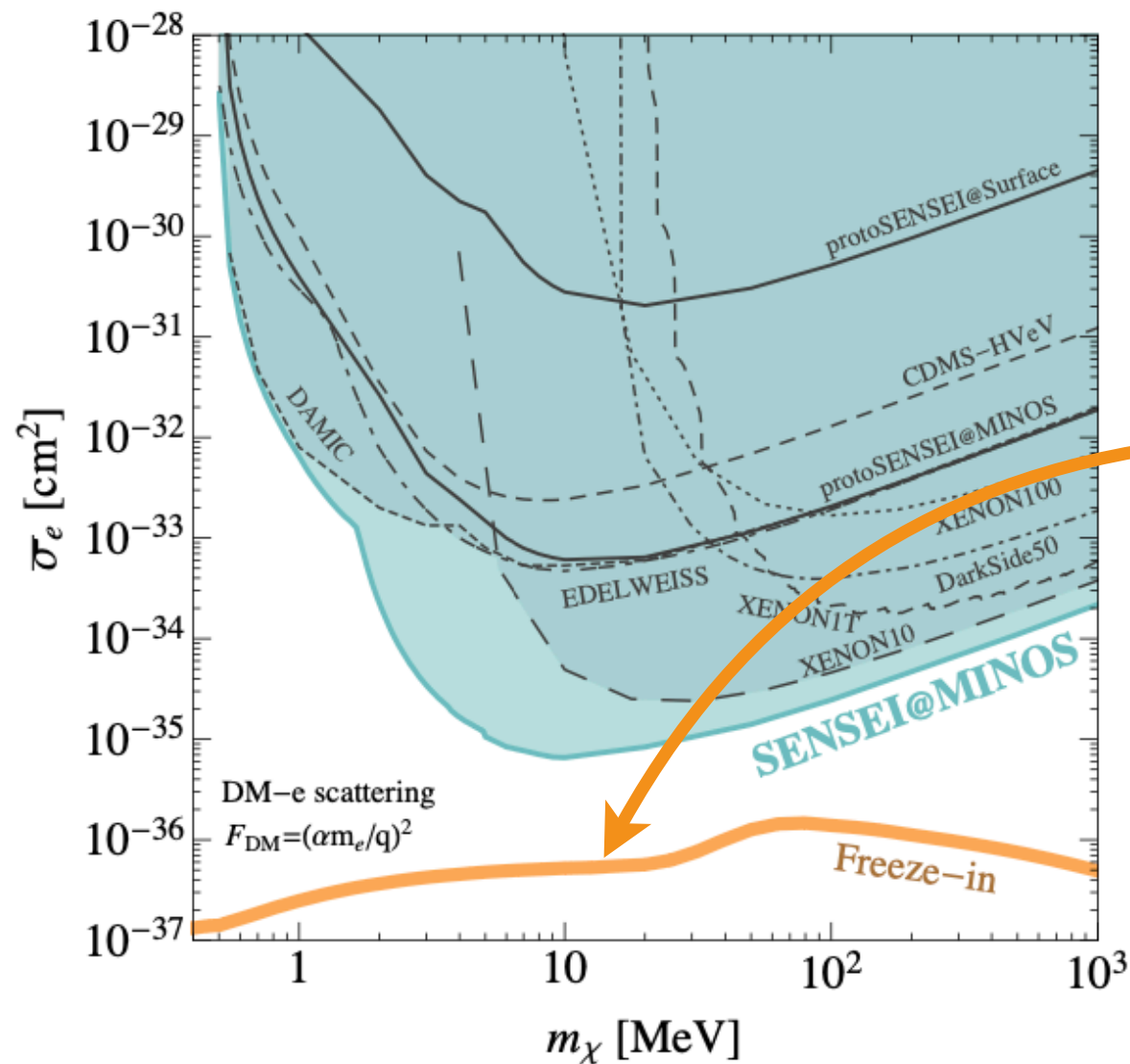
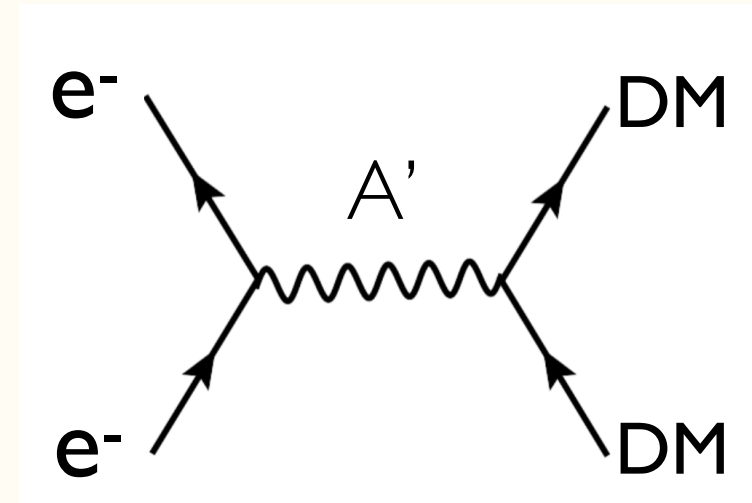
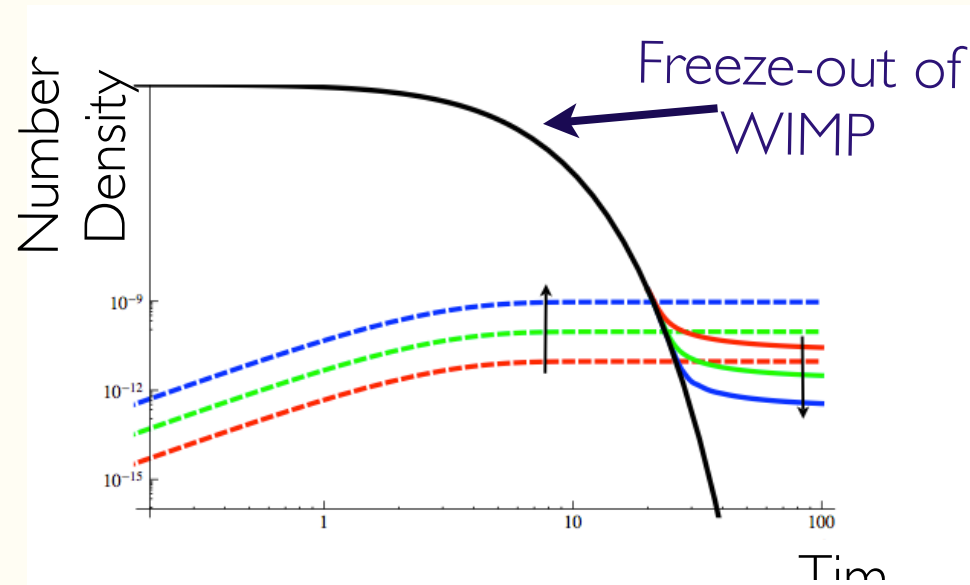
# SENSEI: 2020 DM Result



# SENSEI: Latest results



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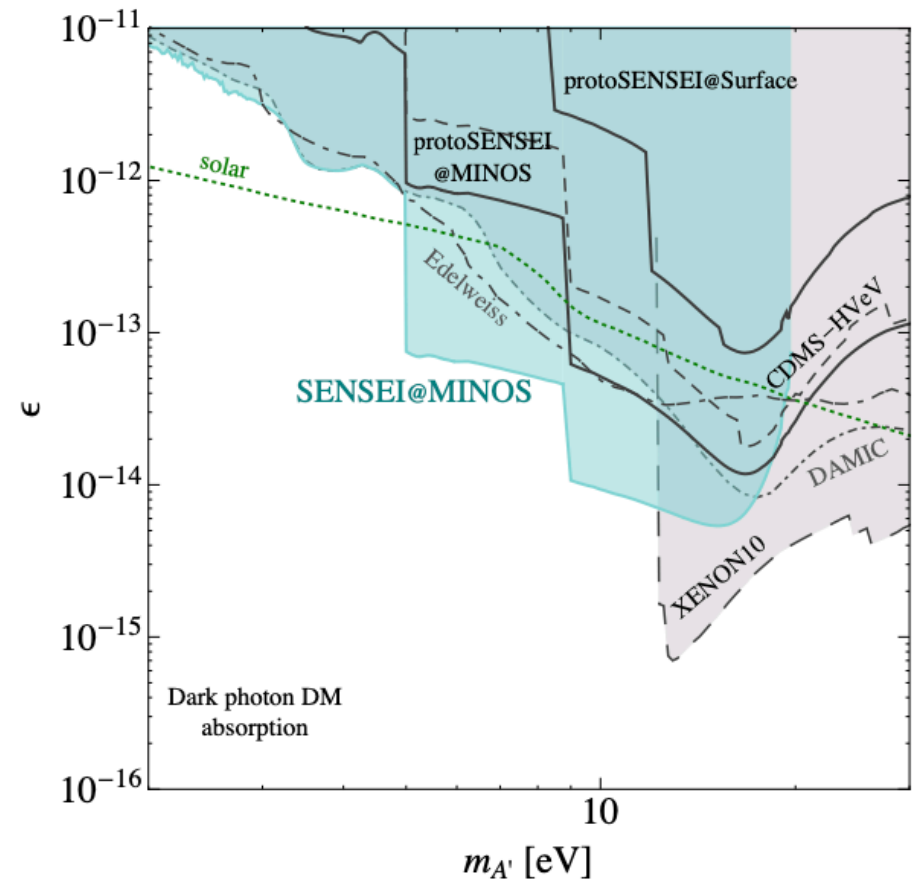
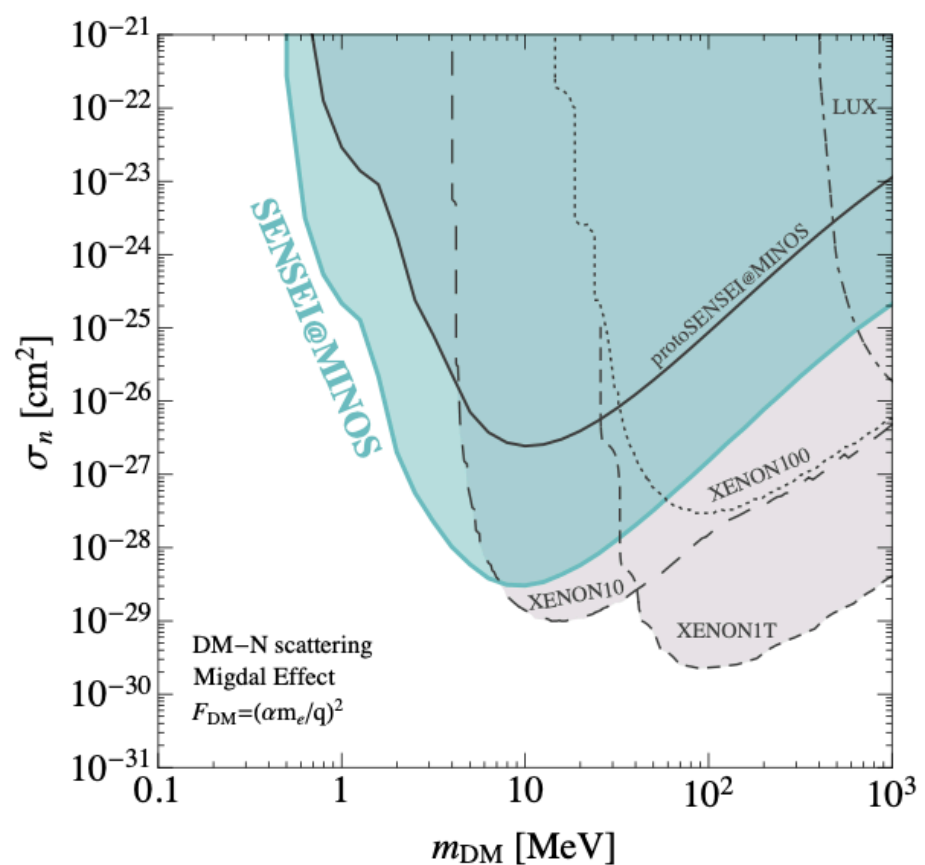
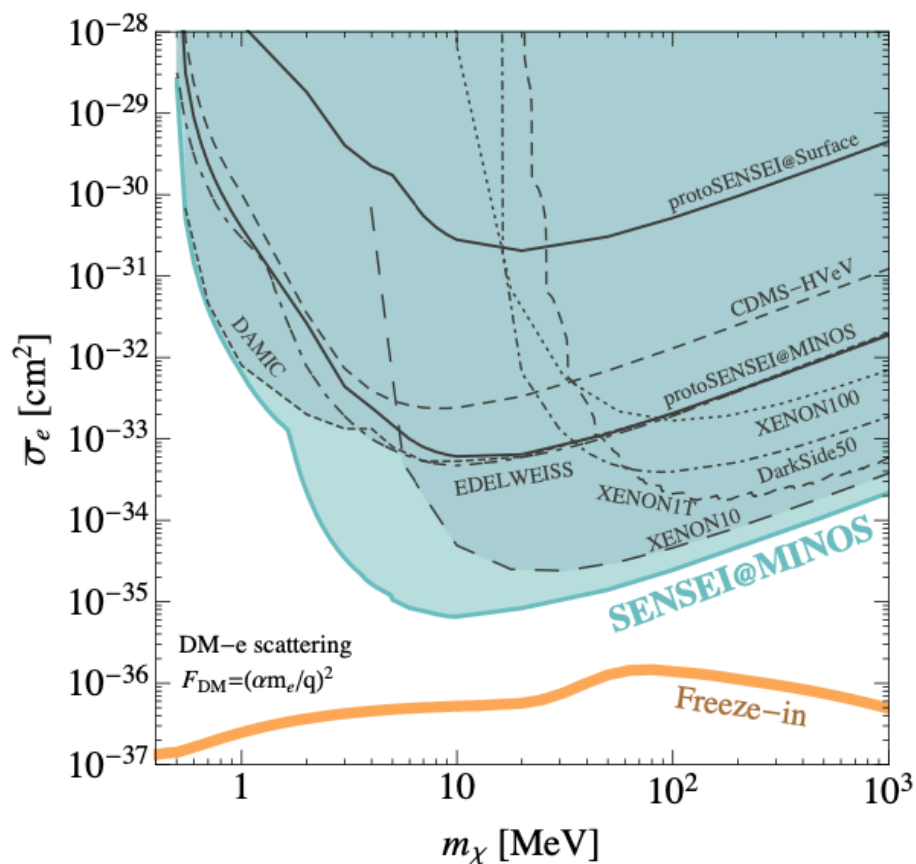
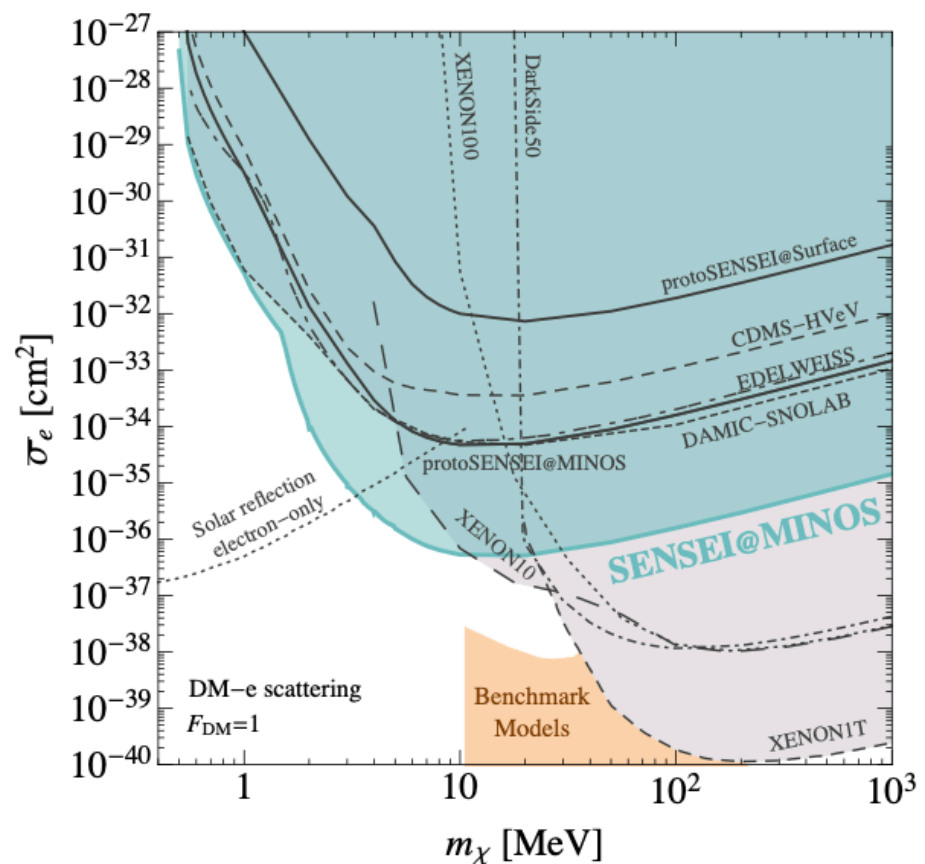


## Freeze-In

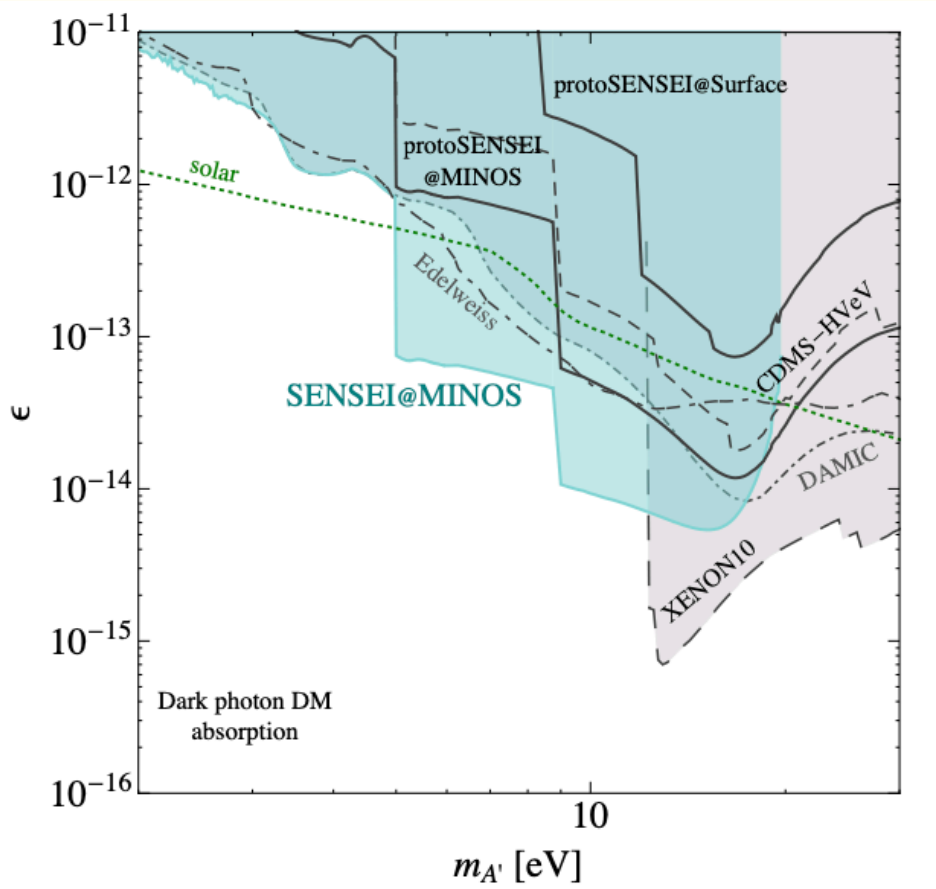
Essig, Mardon, TV 2011  
 Chu, Hambye, Tytgat, 2011  
 Essig, Fernandez-Serra, Soto, Mardon, TV, Yu 2015

- Very light mediator.
- Couplings very small.
- DM never thermalizes.
- Irreducible production mechanism.

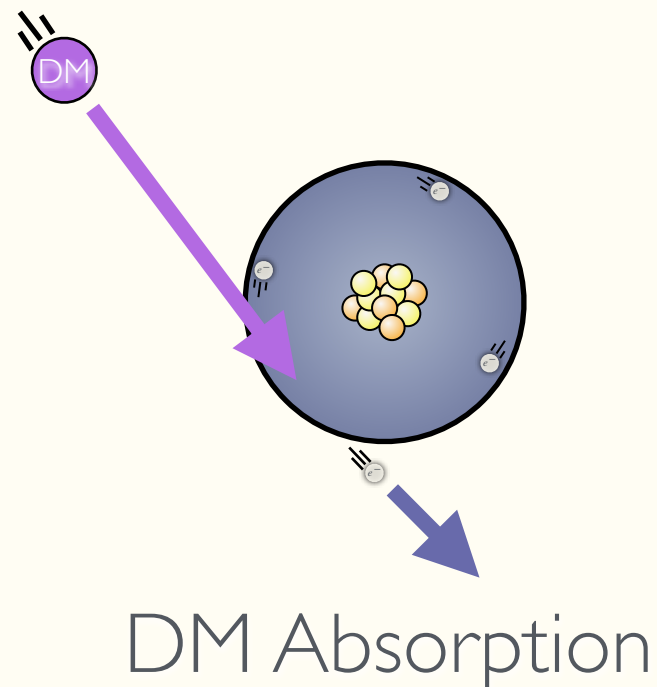
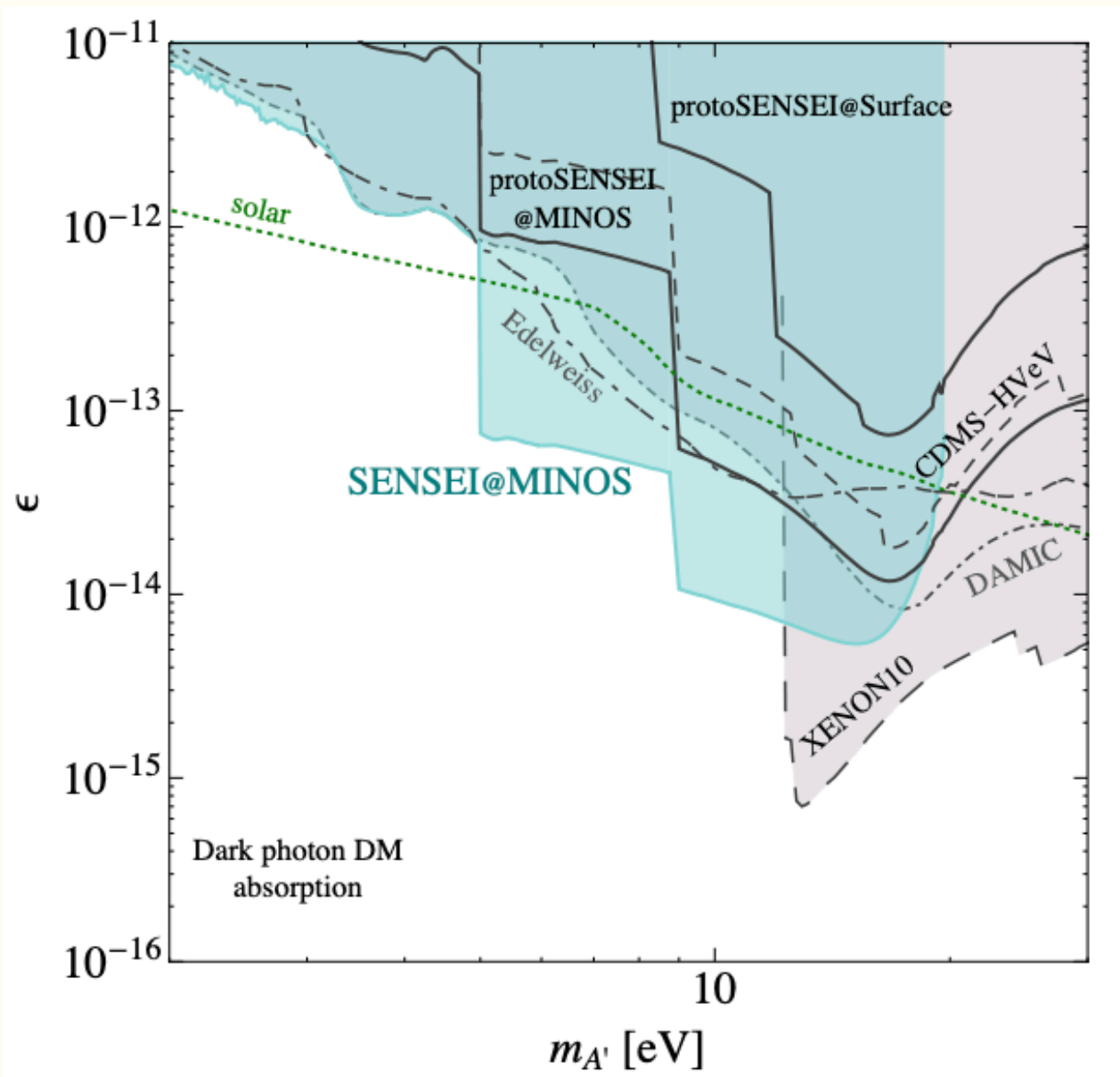
# SENSEI: 2020 DM Result



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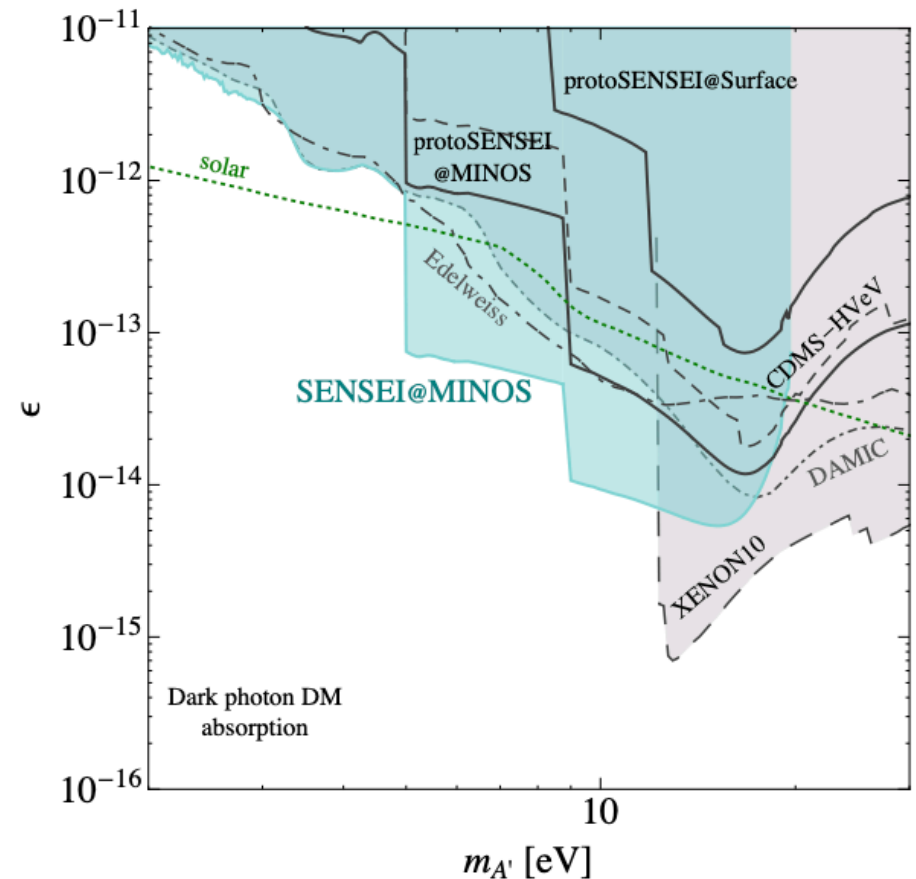
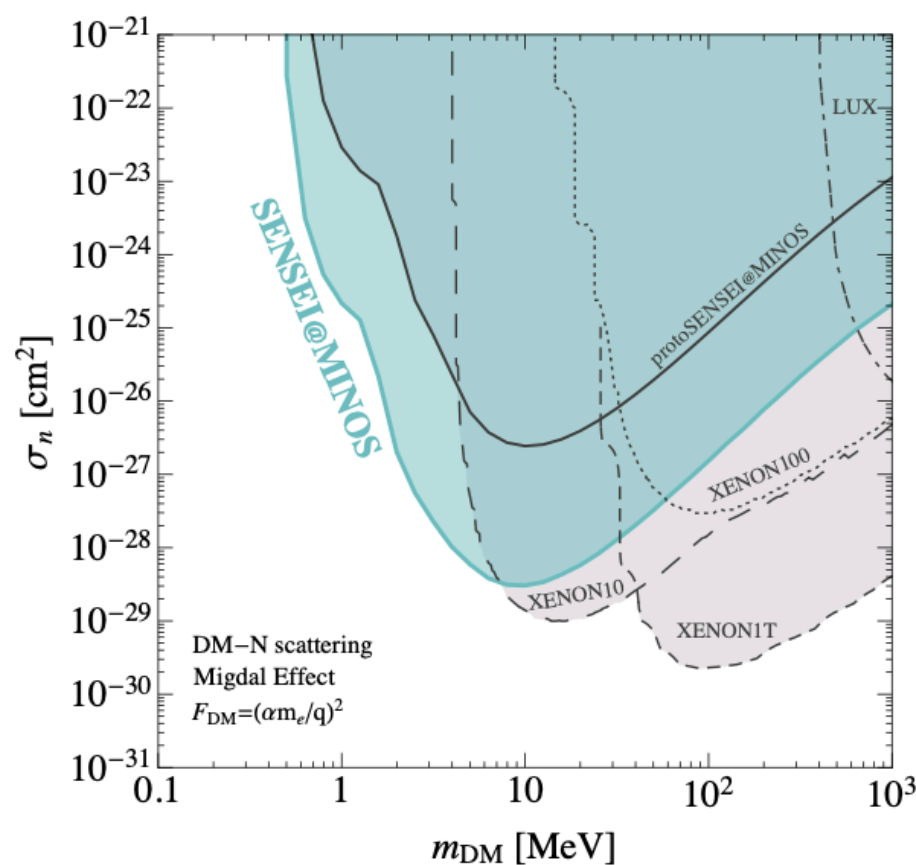
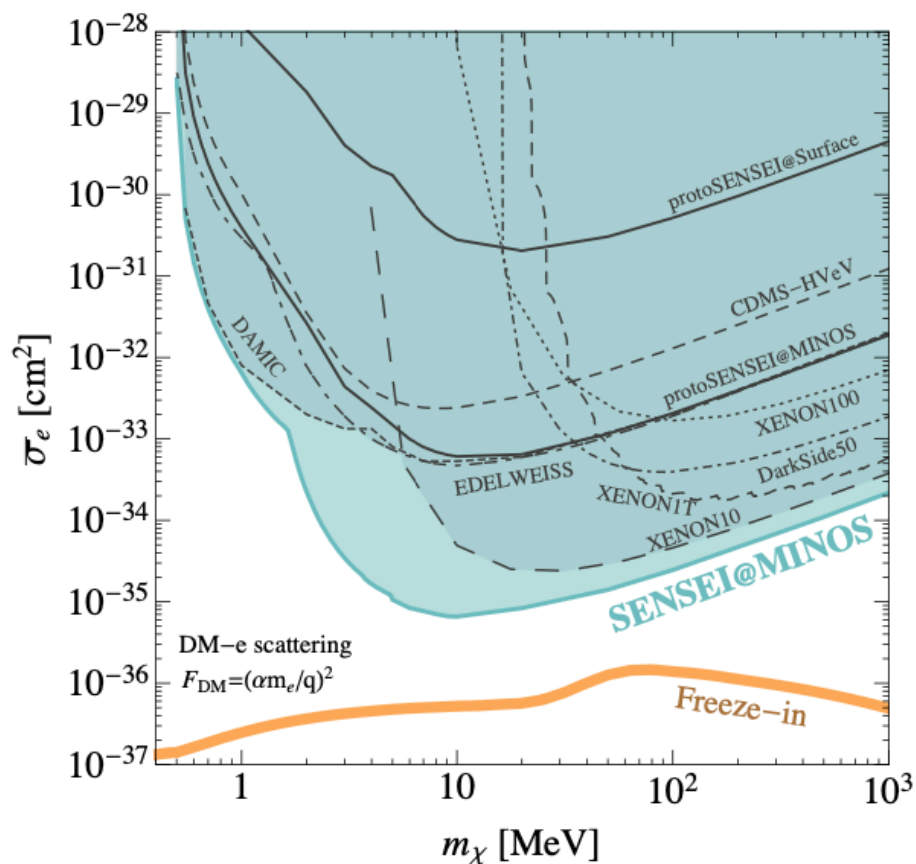
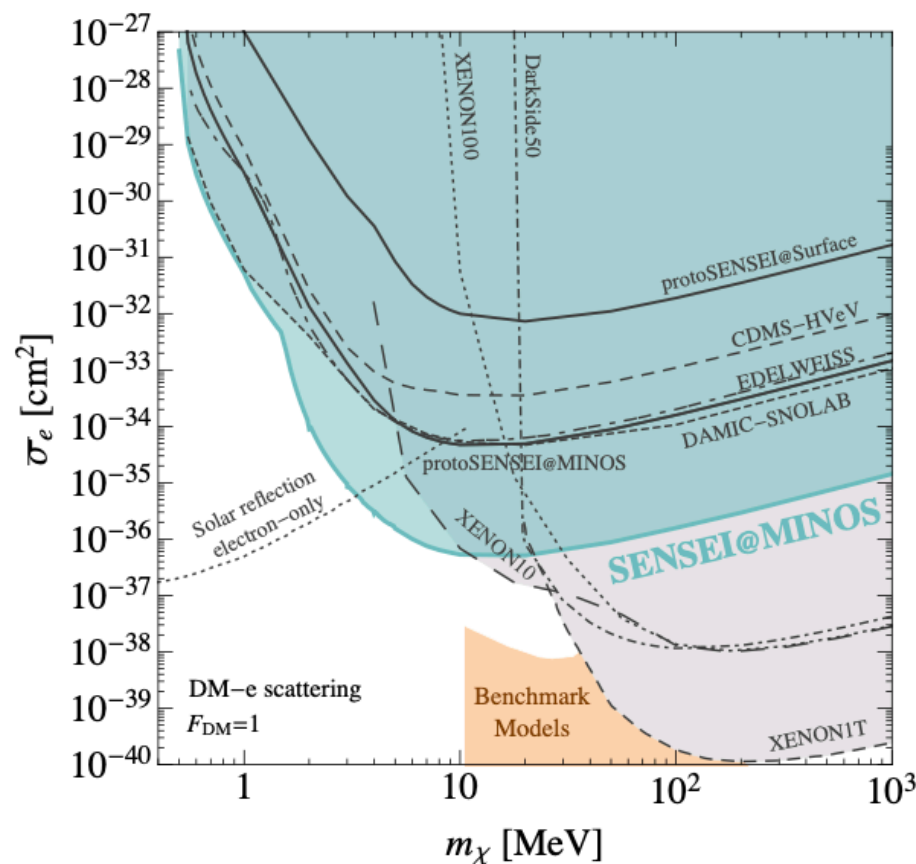


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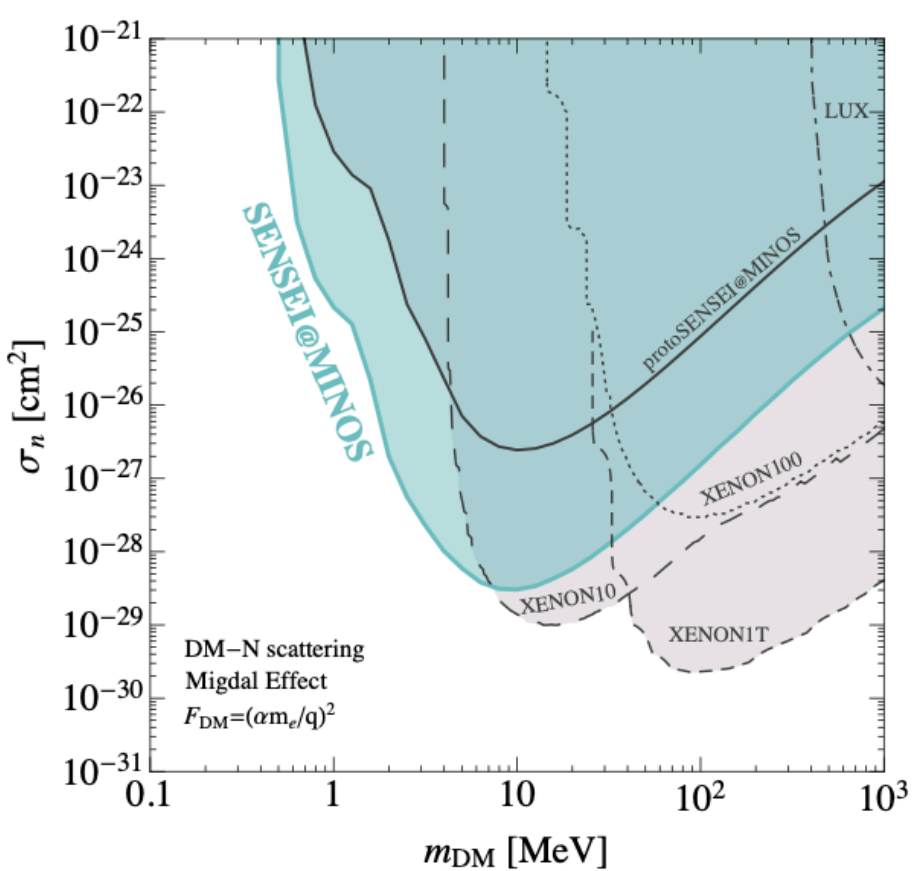




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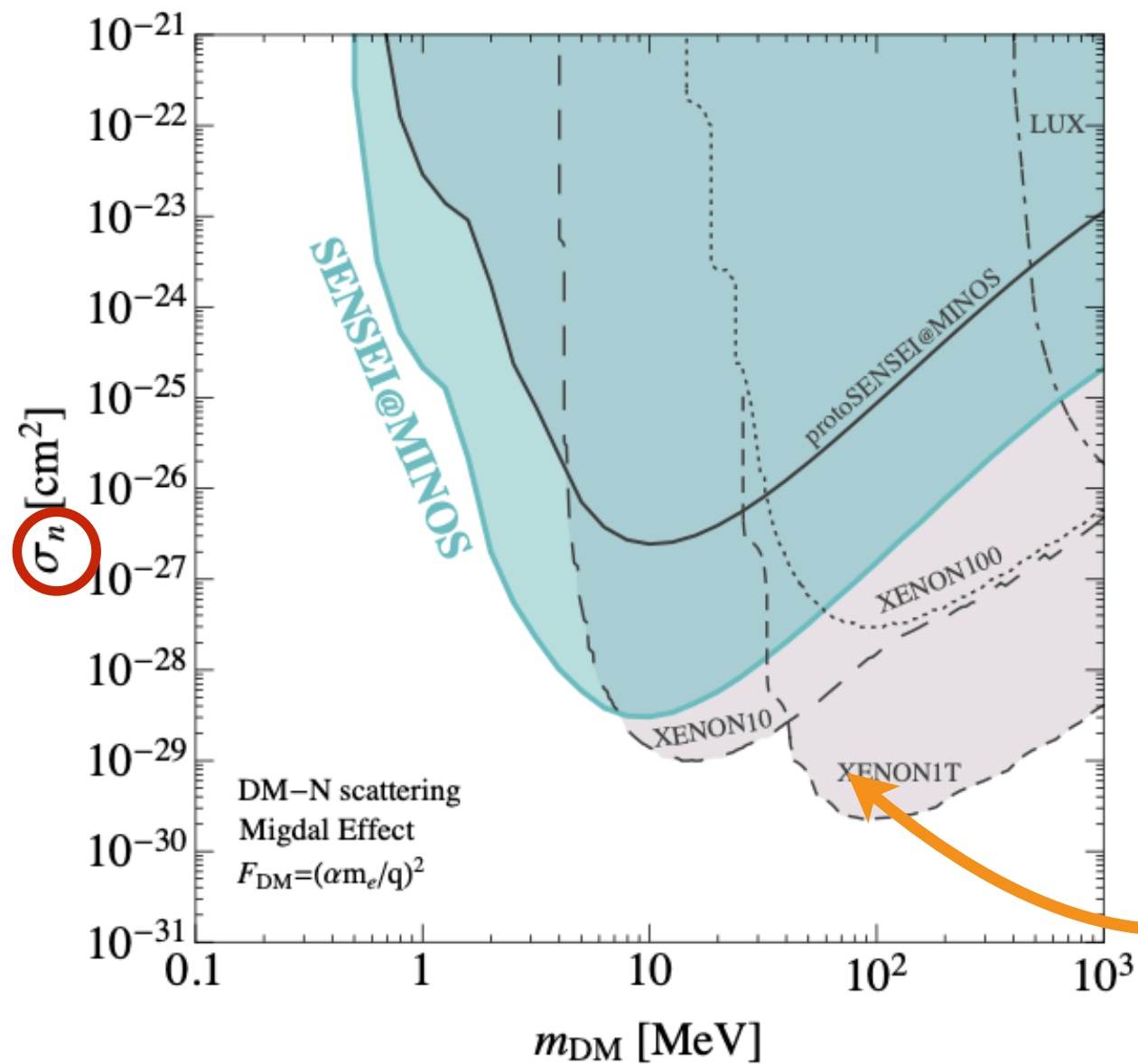


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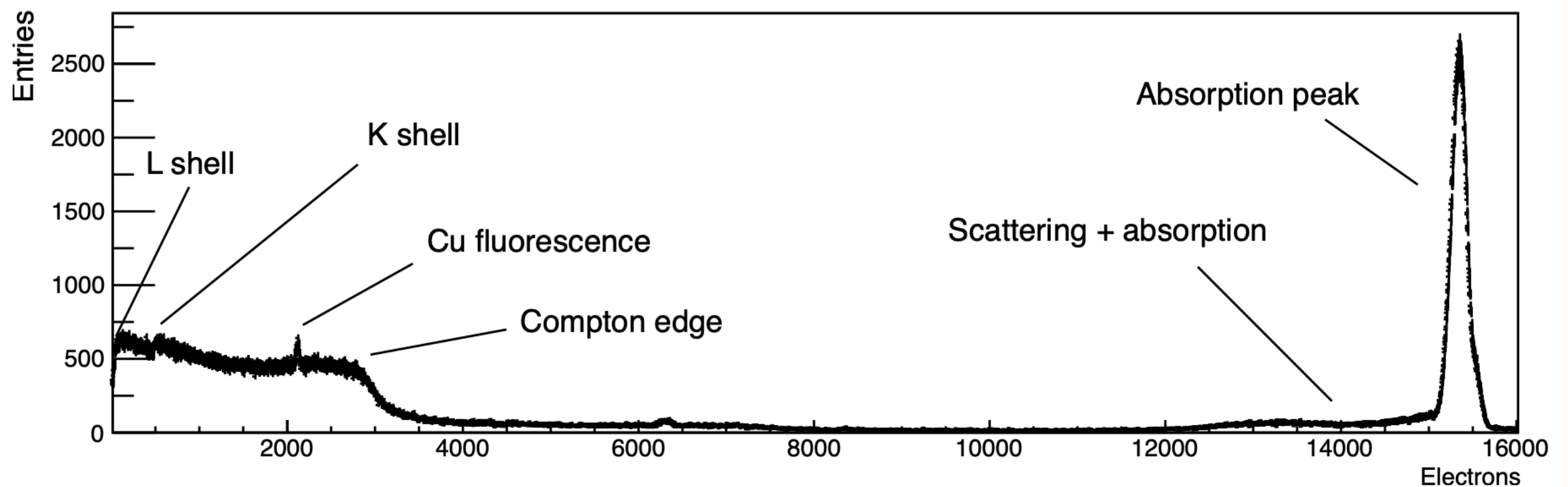
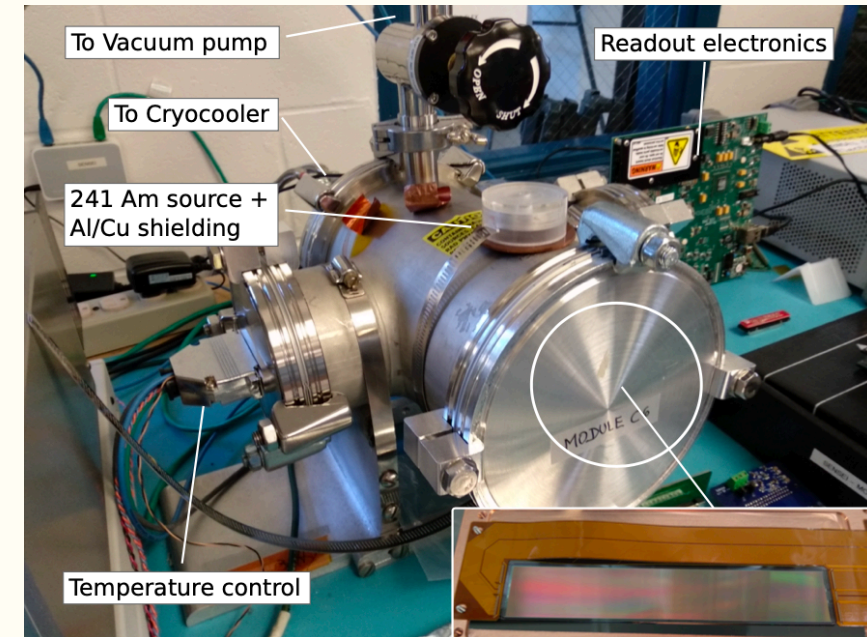
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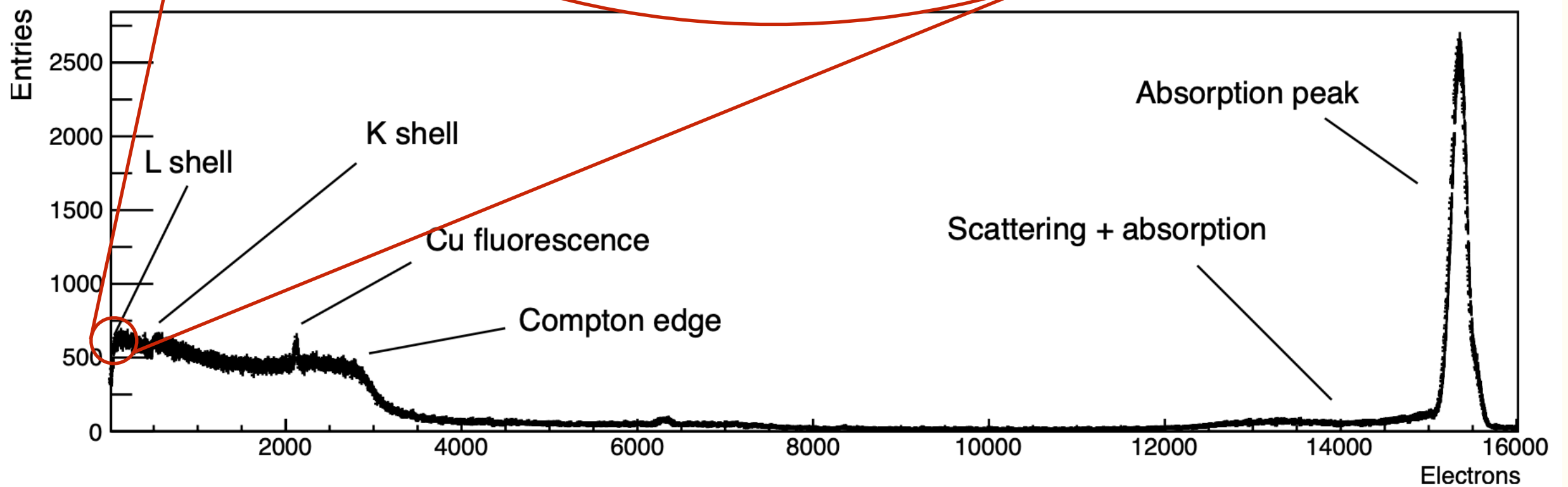
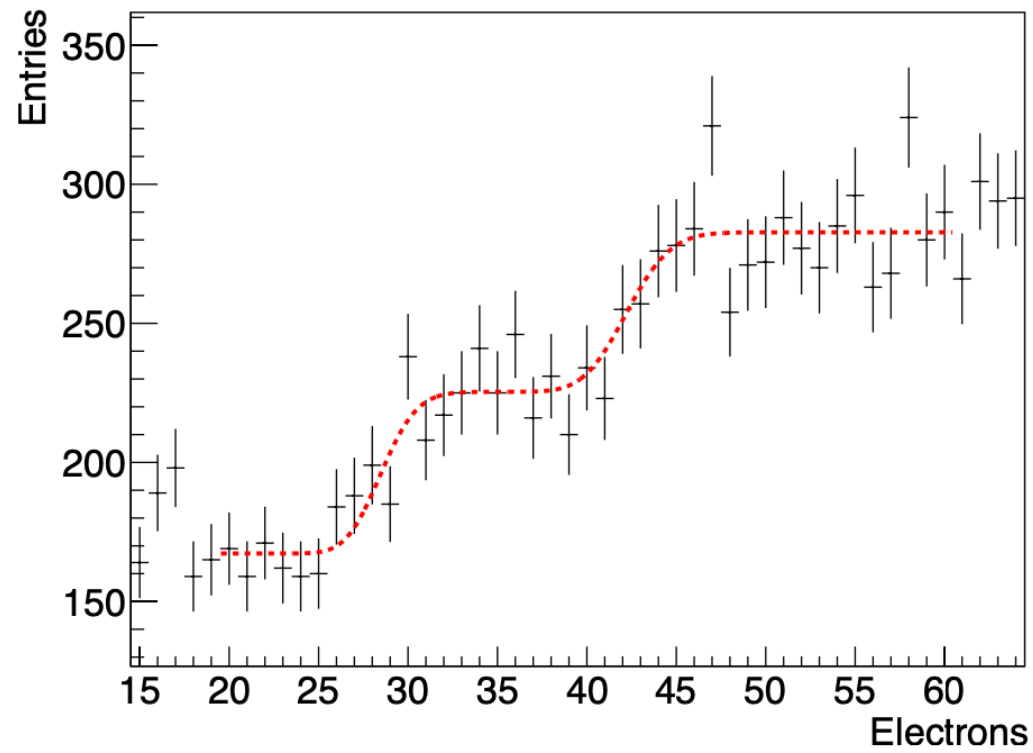
The Migdal Scattering  
Scattering with nucleons

# SENSEI(-related): Compton and Fano Factor

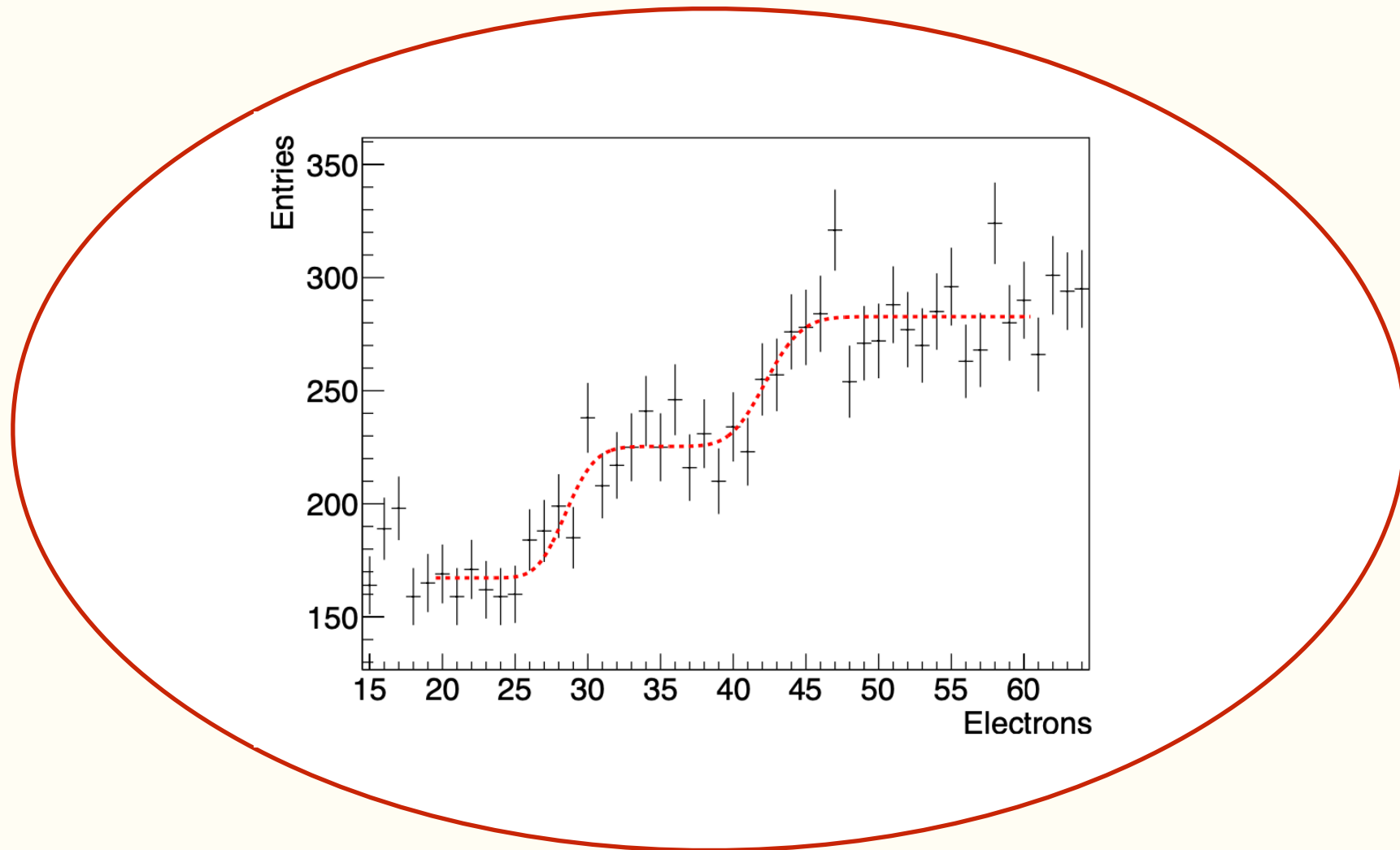
- Compton scattering is a background: high-energy photons can deposit small ionizing energy.
- Until recently, was never measured at low energy.



# SENSEI(-related): Compton and Fano Factor



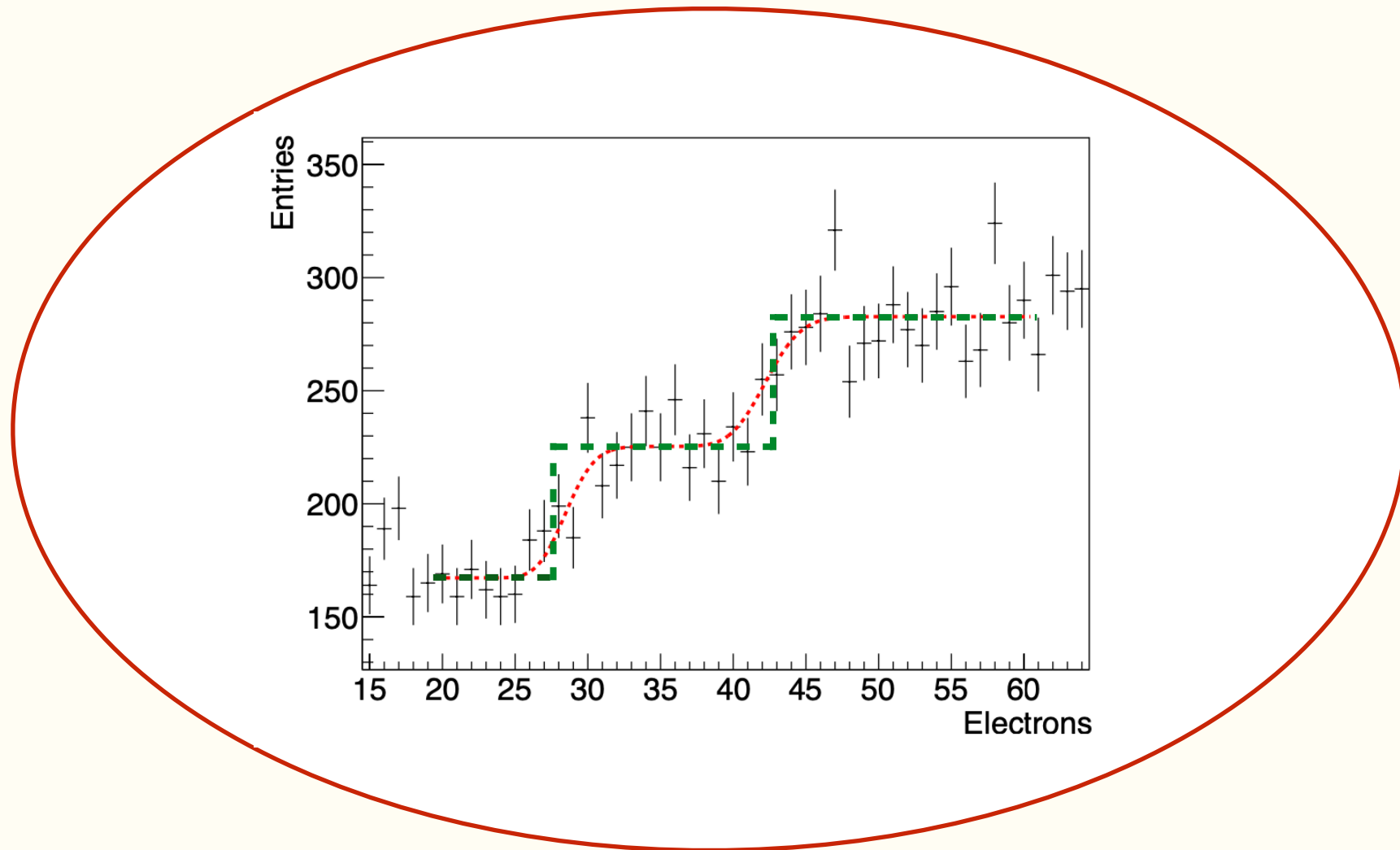
# SENSEI(-related): Compton and Fano Factor



$$Q(E_e) = 1 + \left[ (E_e - E_{\text{gap}}) / \epsilon \right]$$

$$E_{\text{gap}} = 1.11 \text{ eV}$$
$$\epsilon = 3.71 \text{ eV}$$

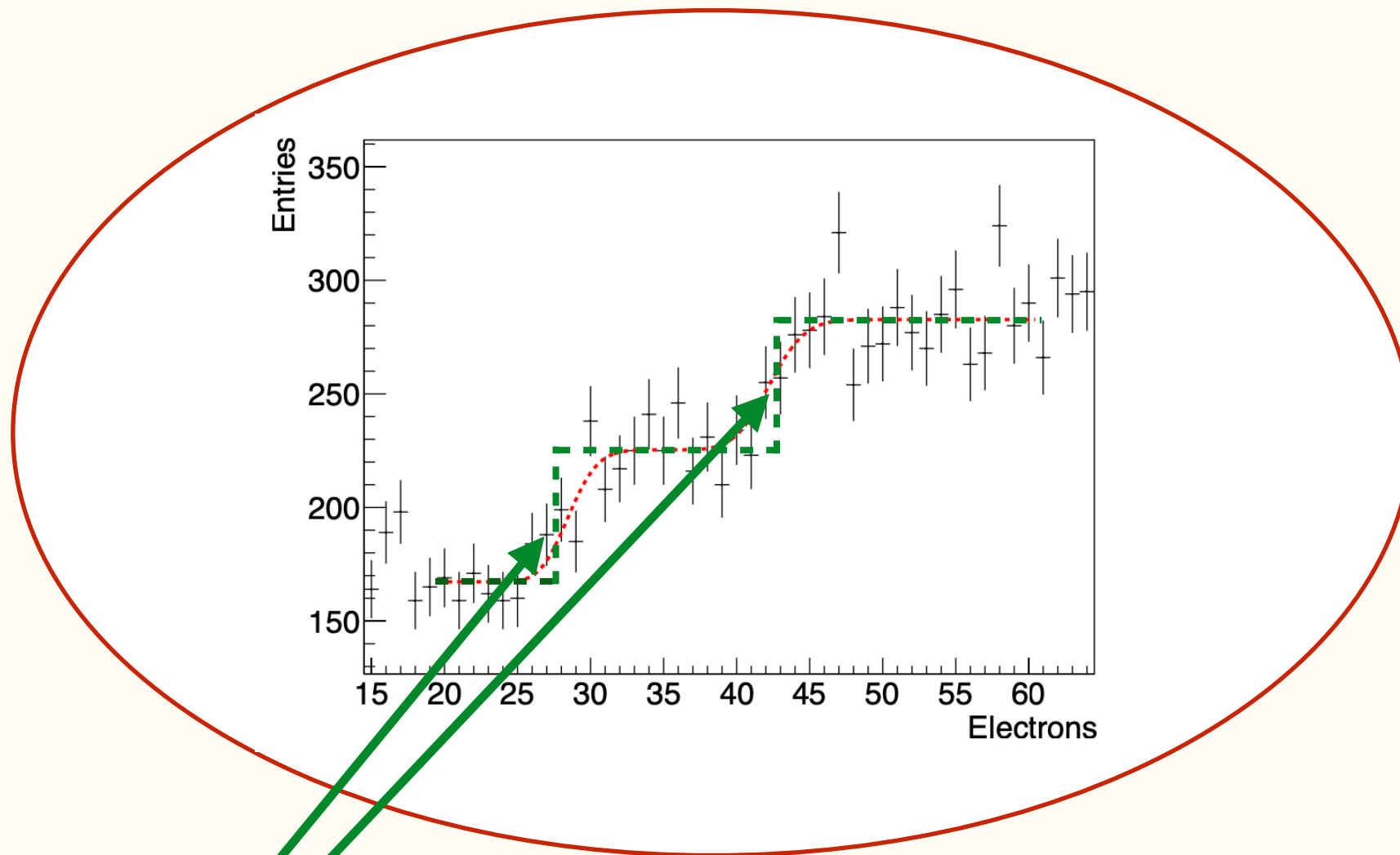
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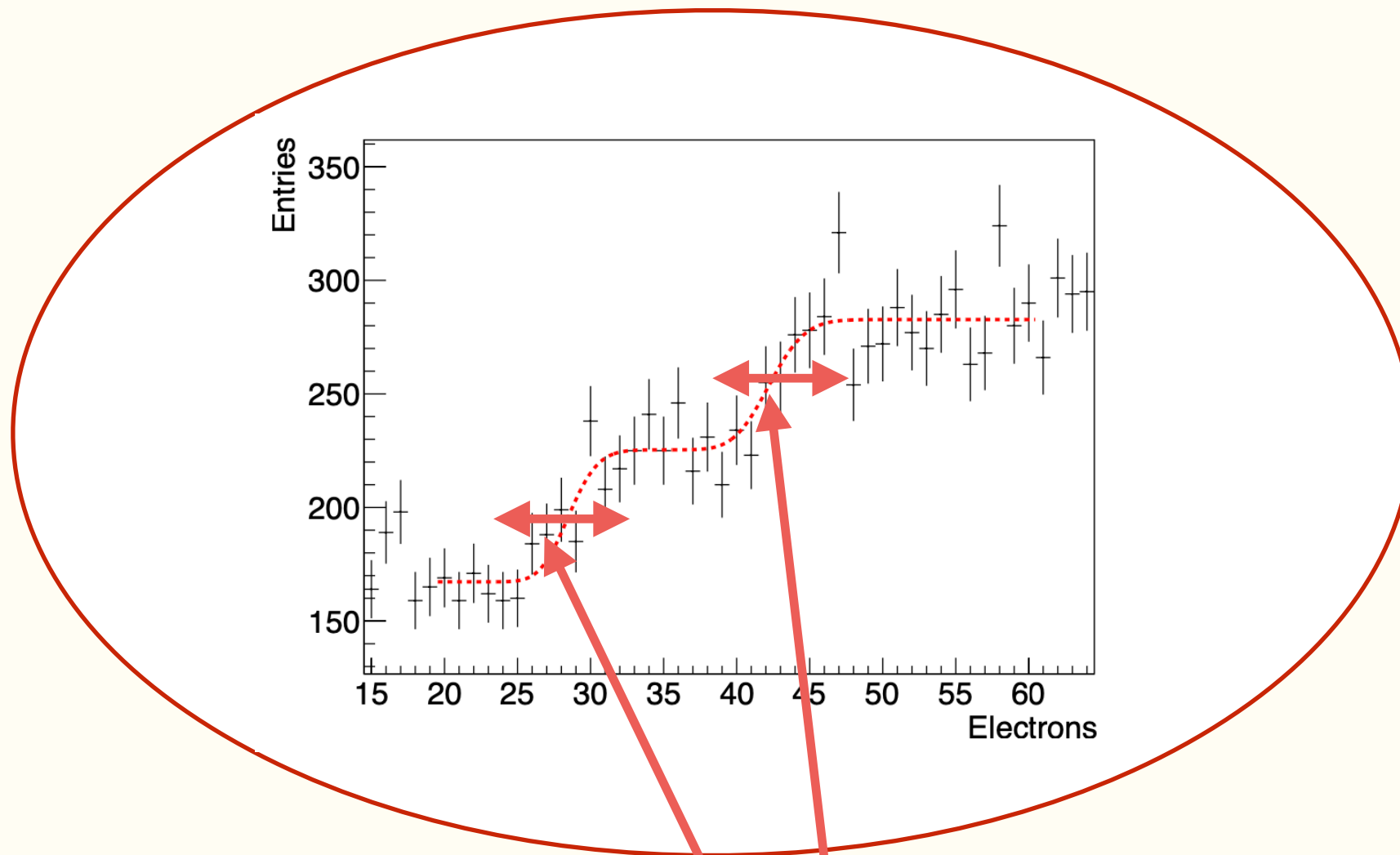


$$Q(E_e) = 1 + \left[ (E_e - E_{\text{gap}}) / \epsilon \right]$$

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Known energy levels.  
Location can be used  
to extract  $\epsilon$

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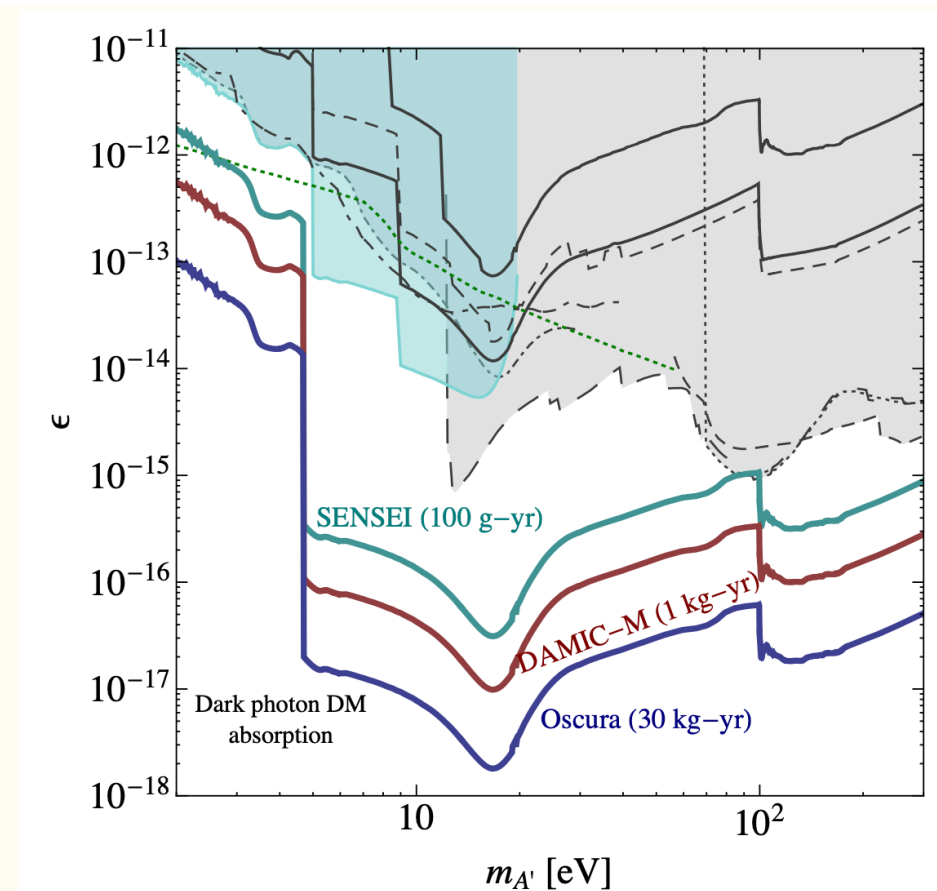
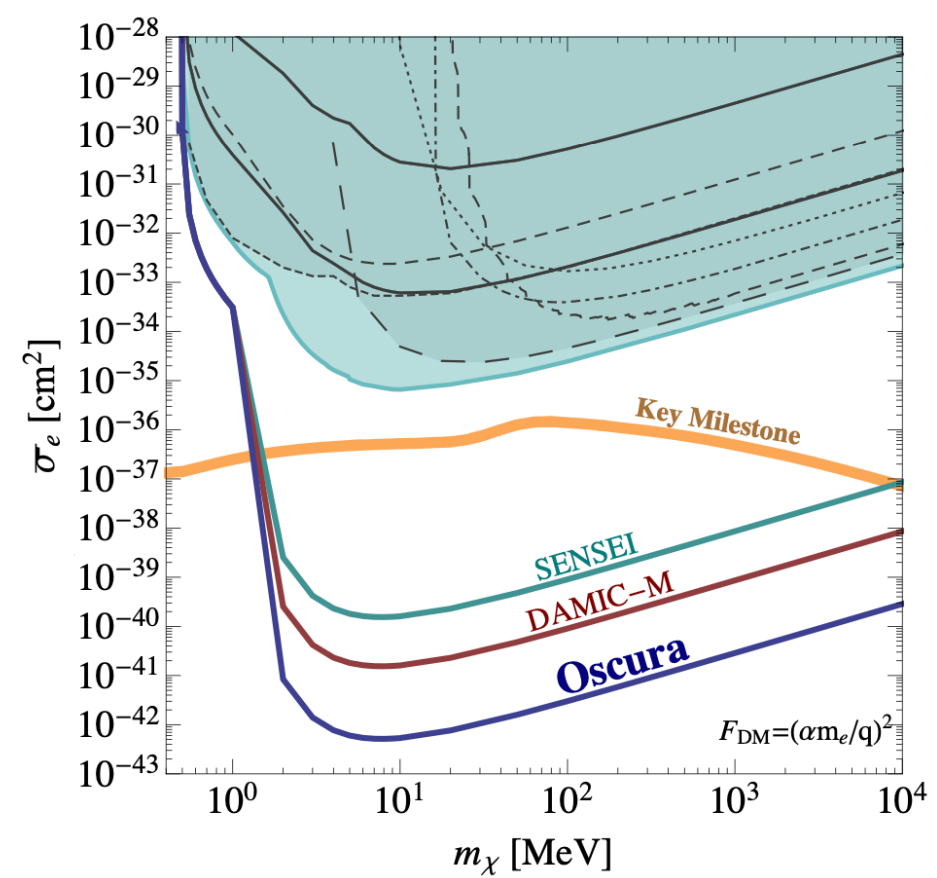
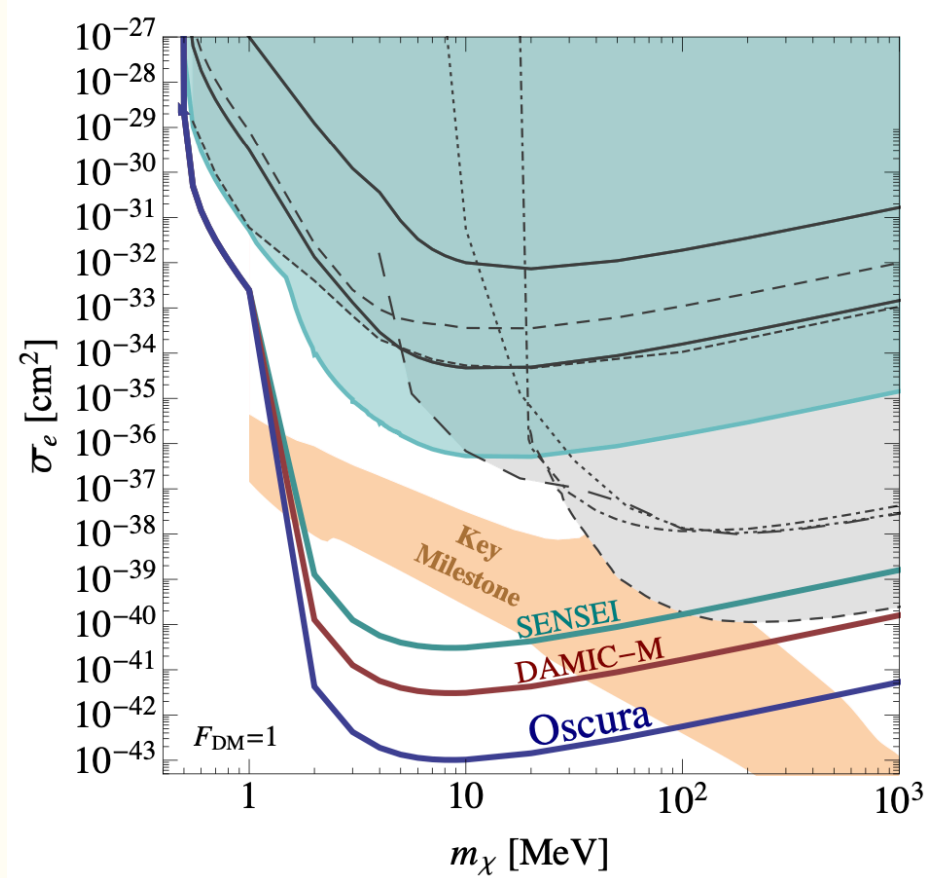
$$E_{\text{gap}} = 1.11 \text{ eV}$$
$$\epsilon = 3.71 \text{ eV}$$

Width is related to the fluctuations around mean ionization: Fano factor

$$F = \frac{\sigma_Q^2}{\langle Q \rangle} \leq 0.31$$

(90% CL)

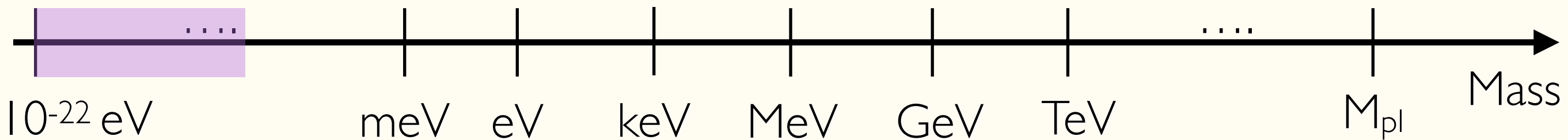
# SENSEI and Beyond



- SENSEI: 100 gram-yr (funded, SNOLAB, 2023-2025)
- DAMIC-M: 1 kg-year (funded, Modane, ~2023-..)
- Oscura: 30 kg-yr (R&D funded by DoE)



# Direct Detection Frontier Ultralight Dark Matter



# Ultralight Dark Matter

We measure the DM mass density:

$$\rho_{\text{DM}} \simeq 0.4 \frac{\text{GeV}}{\text{cm}^3}$$

For DM with mass below eV:

$$0.4 \frac{\text{GeV}}{m_{\text{DM}} \text{cm}^3} \simeq n_{\text{DM}} > 1/\lambda_{\text{de-Broglie}}^3 \sim m_{\text{DM}}^3 v^3$$

DM can be treated as a classical wave:

$$a \sim a_0 e^{ix^\mu p_\mu}$$

DM Scattering on targets is not what we want to search for!

Utilize coherent interactions

# Ultralight Dark Matter: ALPs

DM with low mass must be a boson

Motivated example: the **Axion**

Why is the neutron dipole moment so small (the Strong CP Problem)

$$d_n < 1.8 \times 10^{-26} \text{ e cm}$$

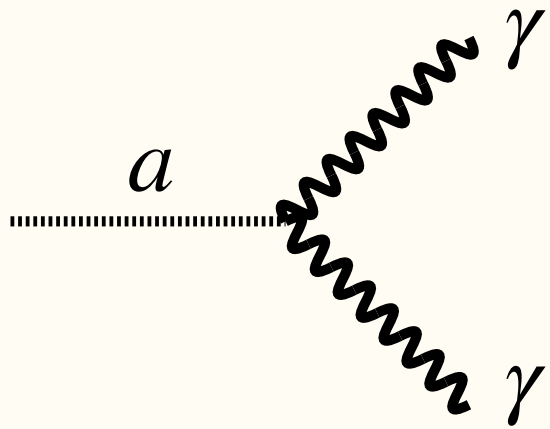
More motivated examples: Axion-like Particles (**ALPs**)

Found in many high-energy particle theories

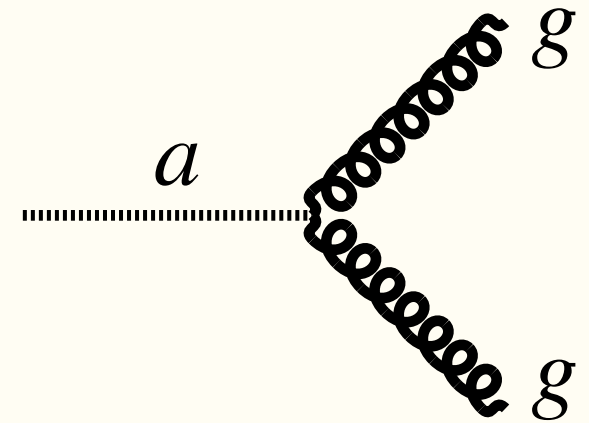
Can be very light

May have intricate implications on structure formation

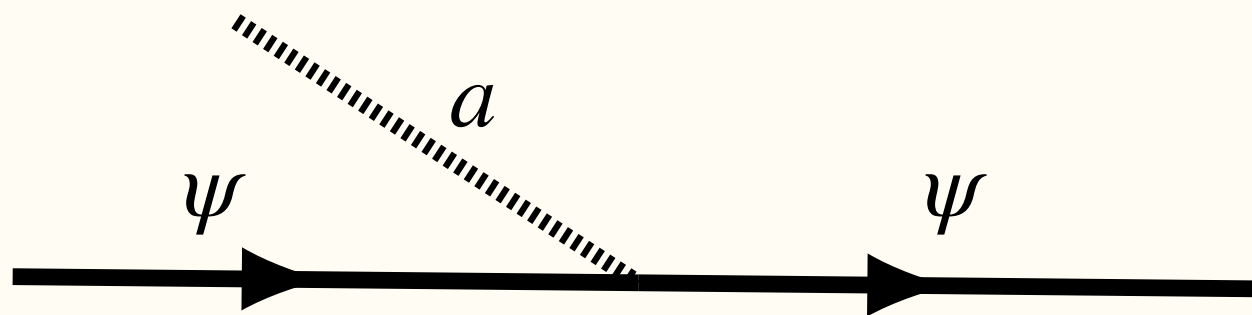
# Ultralight Dark Matter: ALPs



$$-\frac{1}{4}g_{a\gamma\gamma}aF\tilde{F}$$

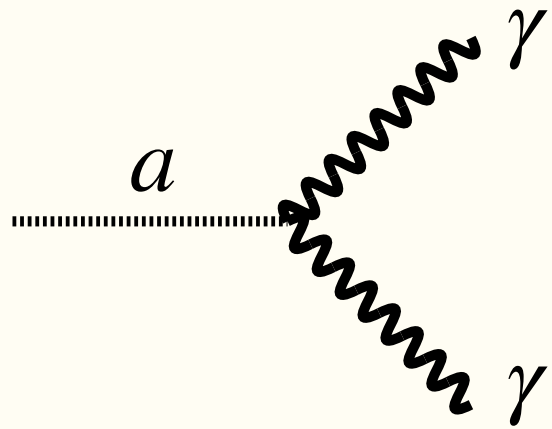


$$-\frac{a}{f_a}\frac{G\tilde{G}}{32\pi^2}$$

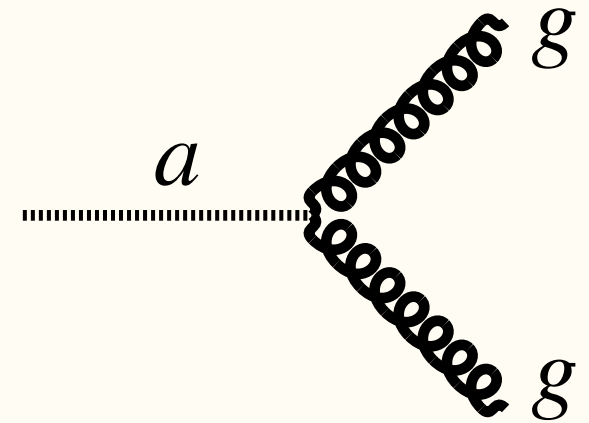


$$g_{a\psi\psi}\partial_\mu a \cdot \bar{\psi}\gamma^\mu\gamma_5\psi$$

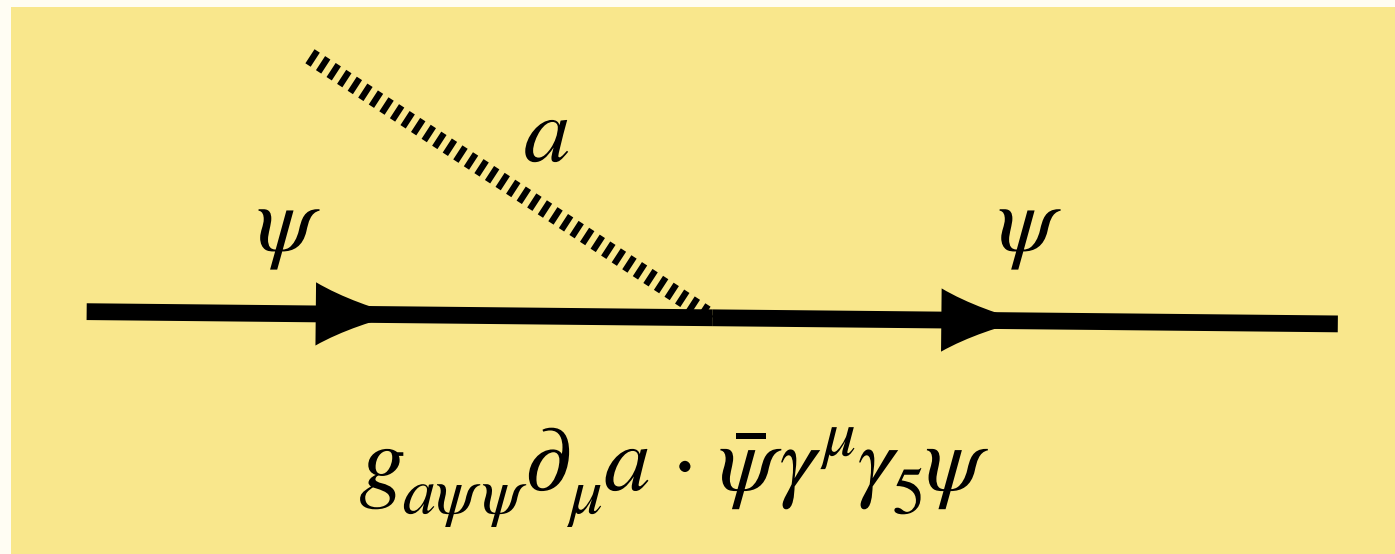
# Ultralight Dark Matter: ALPs



$$-\frac{1}{4}g_{a\gamma\gamma}aF\tilde{F}$$



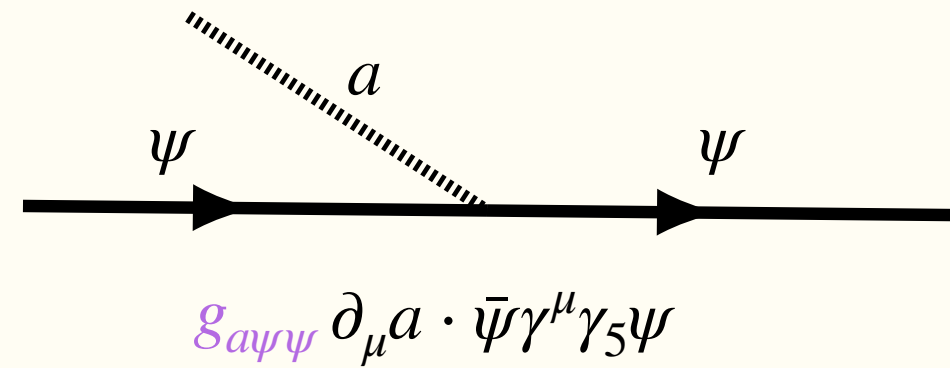
$$-\frac{a}{f_a}\frac{G\tilde{G}}{32\pi^2}$$



$$g_{a\psi\psi}\partial_\mu a \cdot \bar{\psi}\gamma^\mu\gamma_5\psi$$

# Ultralight Dark Matter: ALPs

What is the effect of ALP interactions?



Non-relativistic limit:

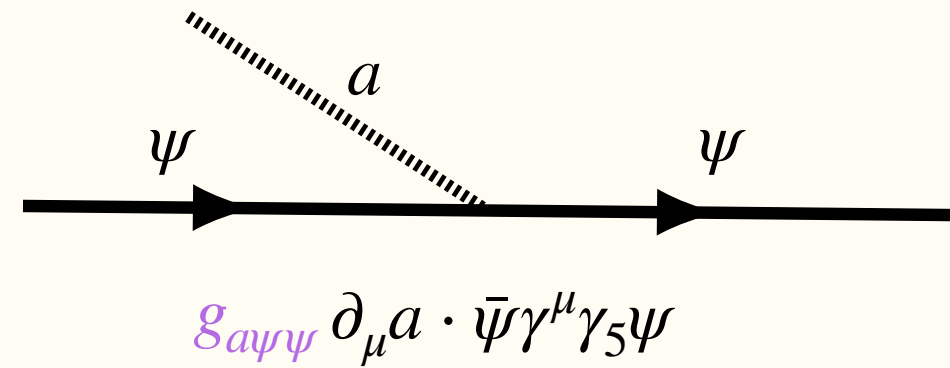
$$H_{a\psi\psi} = -g_{a\psi\psi} \vec{b}_a \cdot \vec{S}_\psi = -\vec{b}_{a-\psi} \cdot \vec{S}_\psi$$

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$



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Recall for regular magnetic field:

$$H = -\gamma \vec{B} \cdot \vec{S}$$

# Ultralight Dark Matter: ALPs

Dark Matter ALPs act as time-dependent anomalous magnetic background

Non-relativistic limit:

$$H_{a\psi\psi} = -g_{a\psi\psi} \vec{b}_a \cdot \vec{S}_\psi = -\vec{b}_{a-\psi} \cdot \vec{S}_\psi$$

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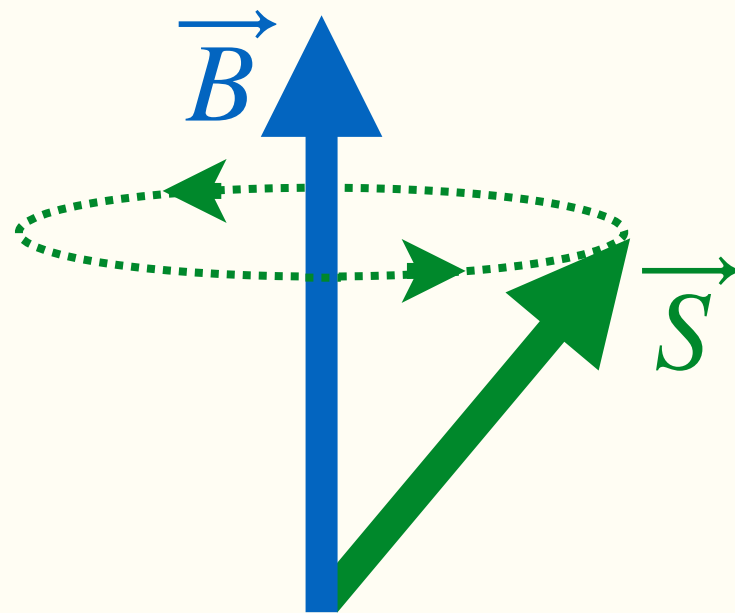
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# Ultralight Dark Matter: ALPs

Dark Matter ALPs act as **time-dependent**  
**anomalous** magnetic background

Larmor Precession

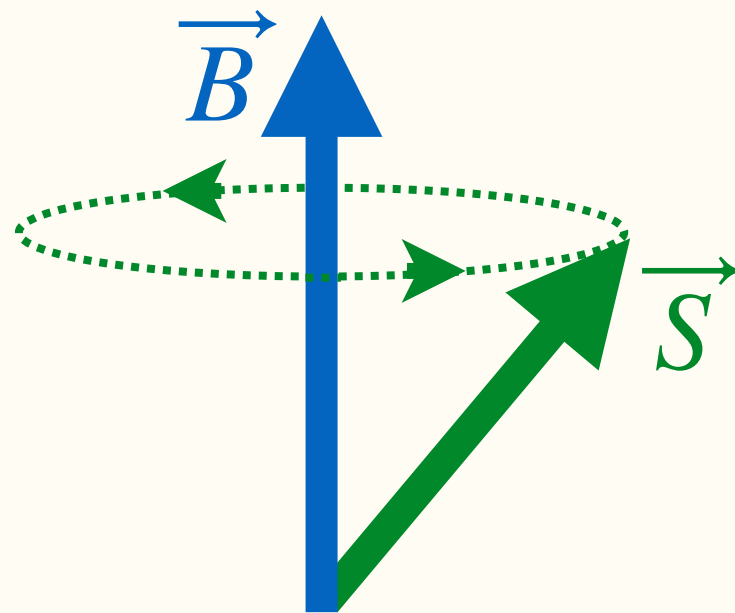


$$\dot{\vec{S}} = \gamma \vec{S} \times \vec{B}$$

# Ultralight Dark Matter: ALPs

Dark Matter ALPs act as time-dependent anomalous magnetic background

Larmor Precession



$$\dot{\vec{S}} = \gamma \vec{S} \times \vec{B}$$

How do we measure this?

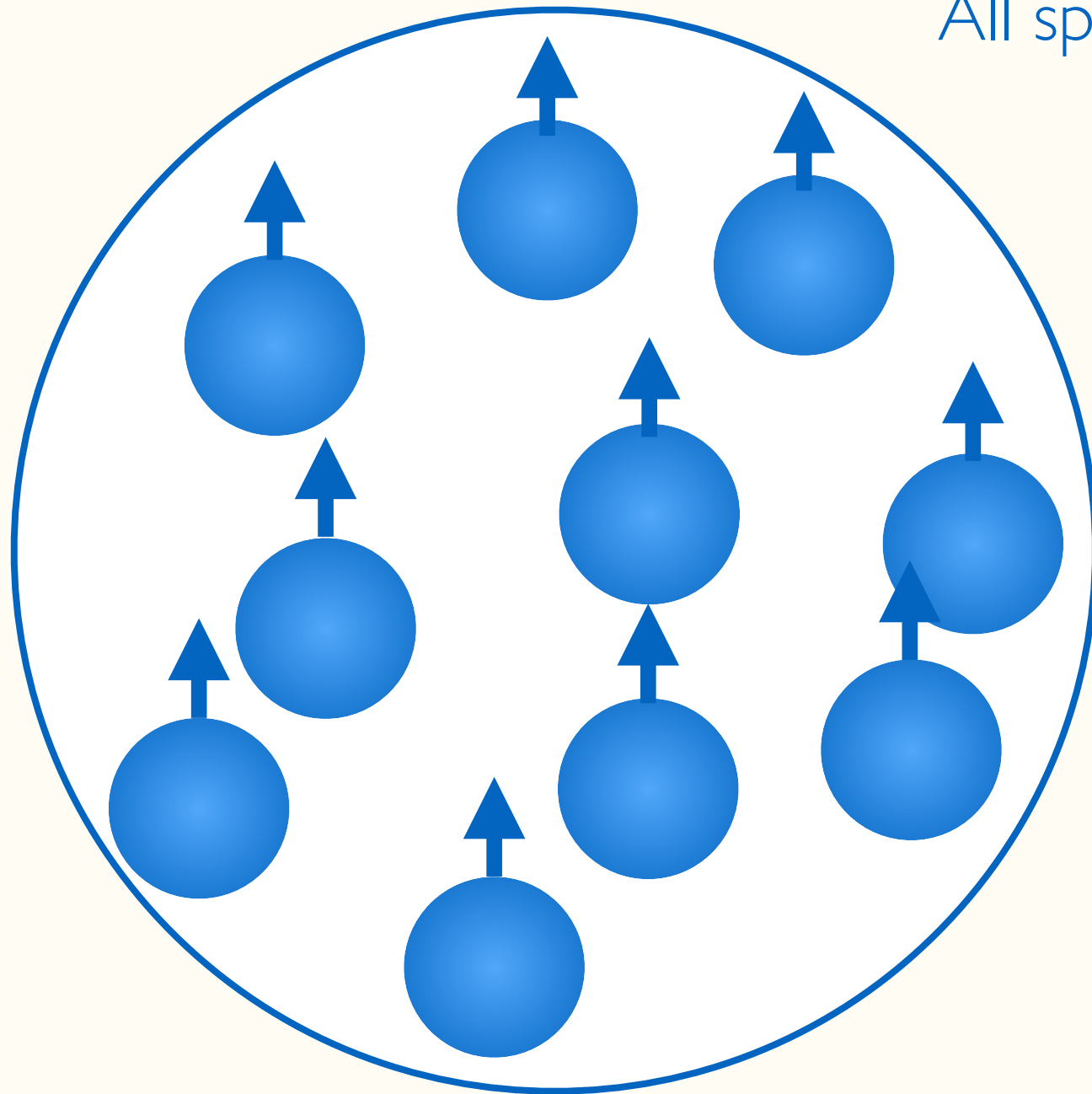
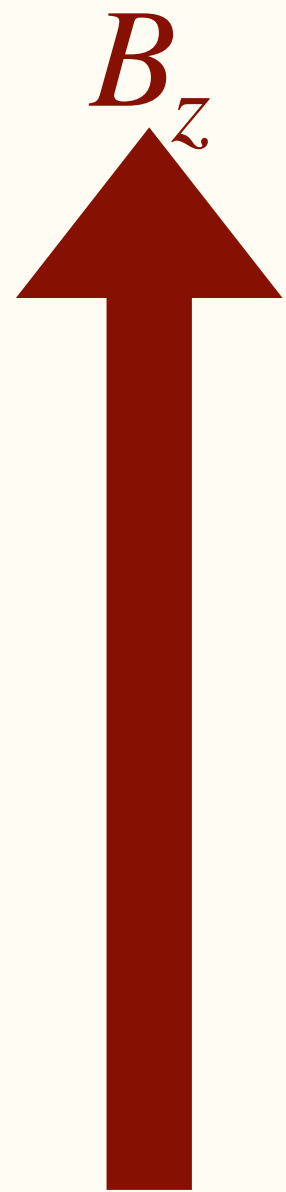
# NASDUCK

Noble and Alkali Spin Detectors for Ultralight Coherent dark matter

Itay Bloch, Or Katz, Ori Katz, Gil Ronen, Roy Shaham, TV

[Science Advances, 2022]

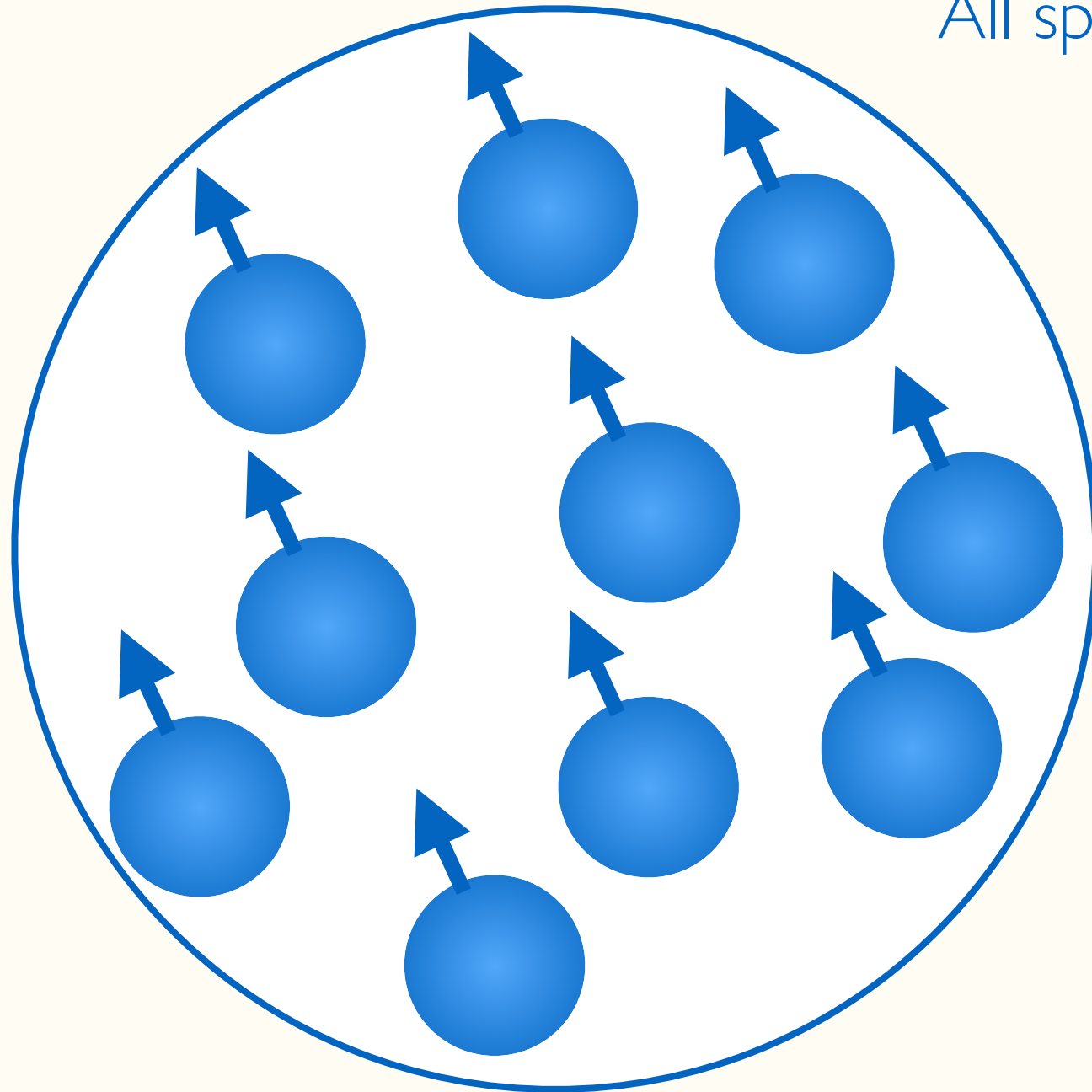
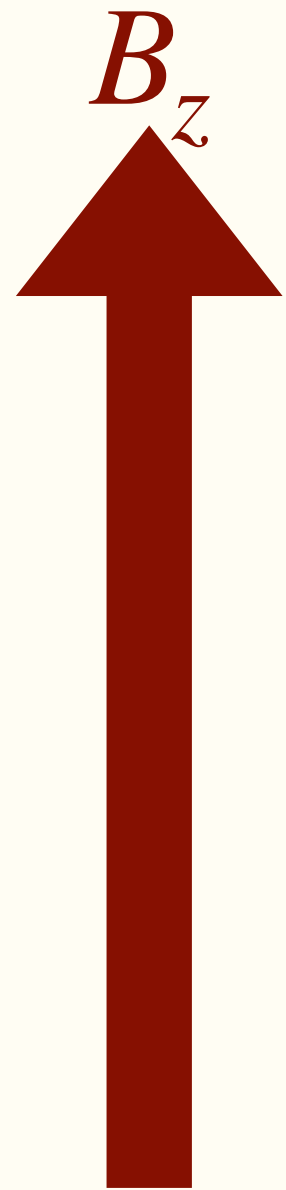
# Atomic (Co-)Magnetometers



Atoms in a cell  
All spins pointing in the z-direction



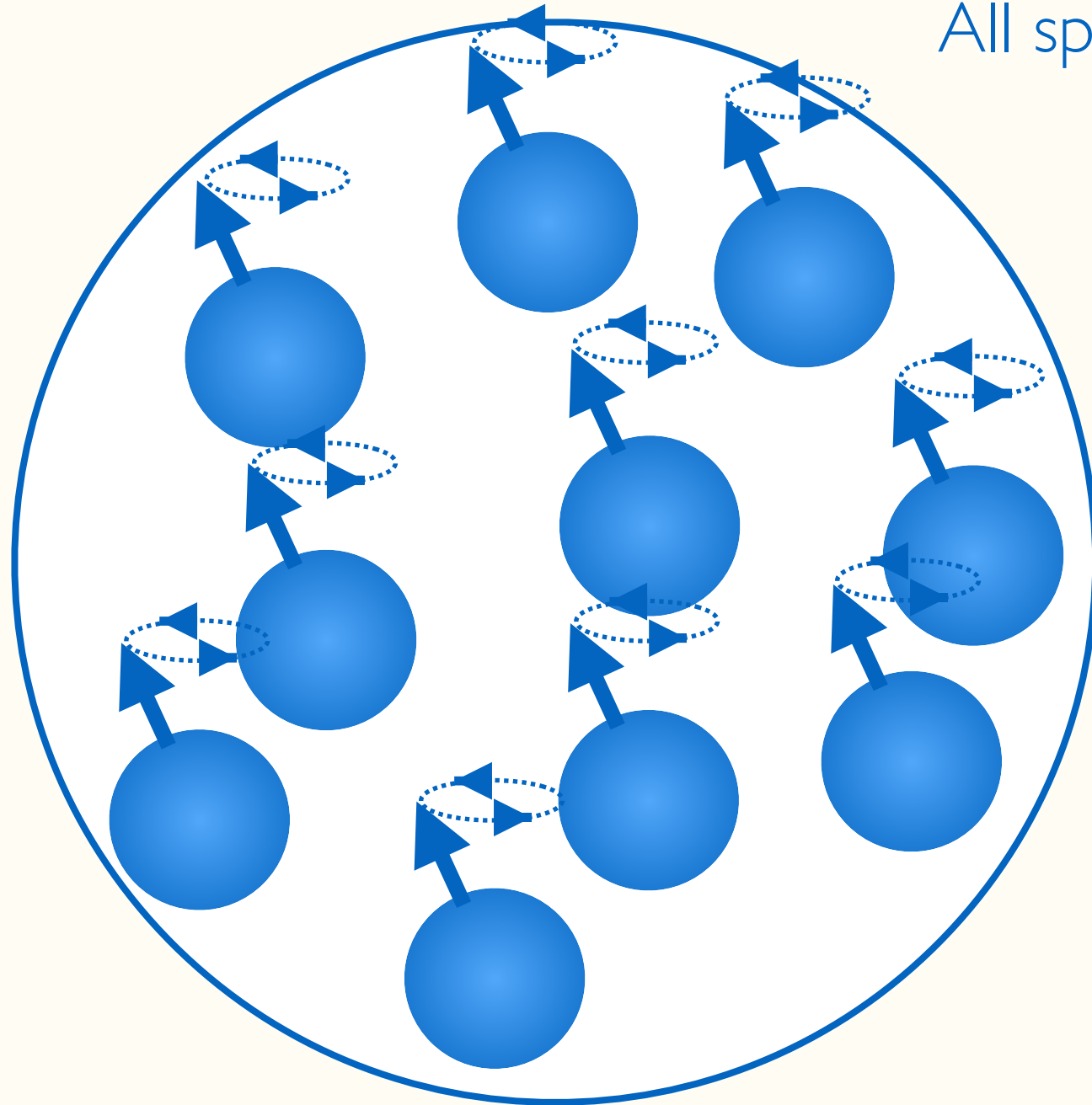
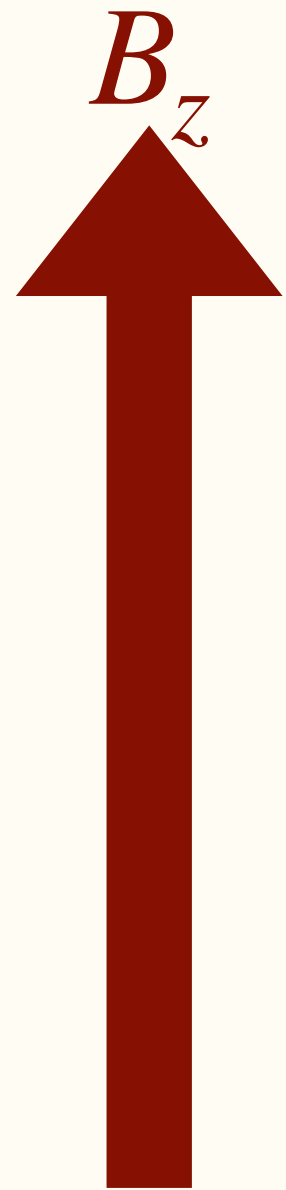
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Perturb spins

# Atomic (Co-)Magnetometers

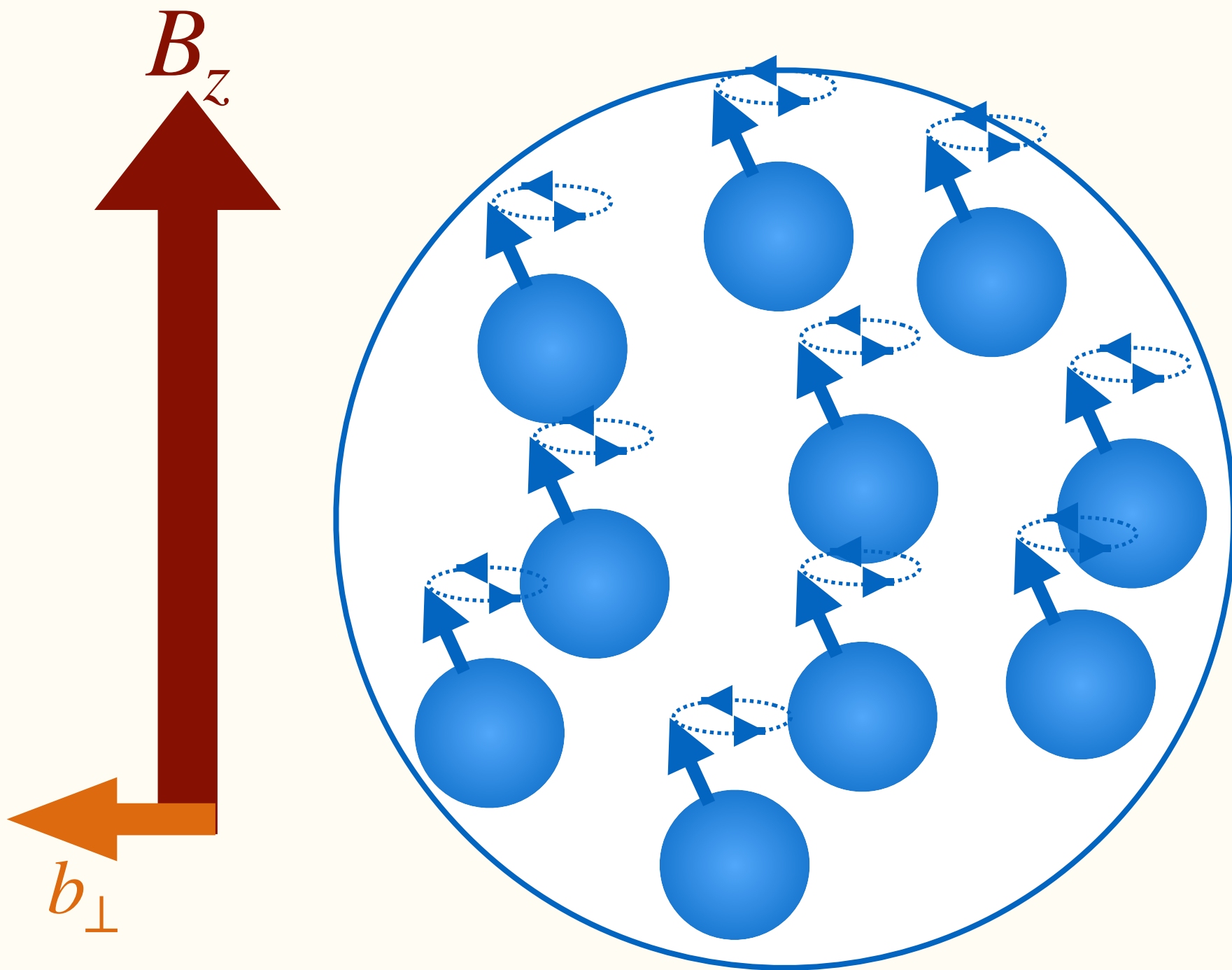


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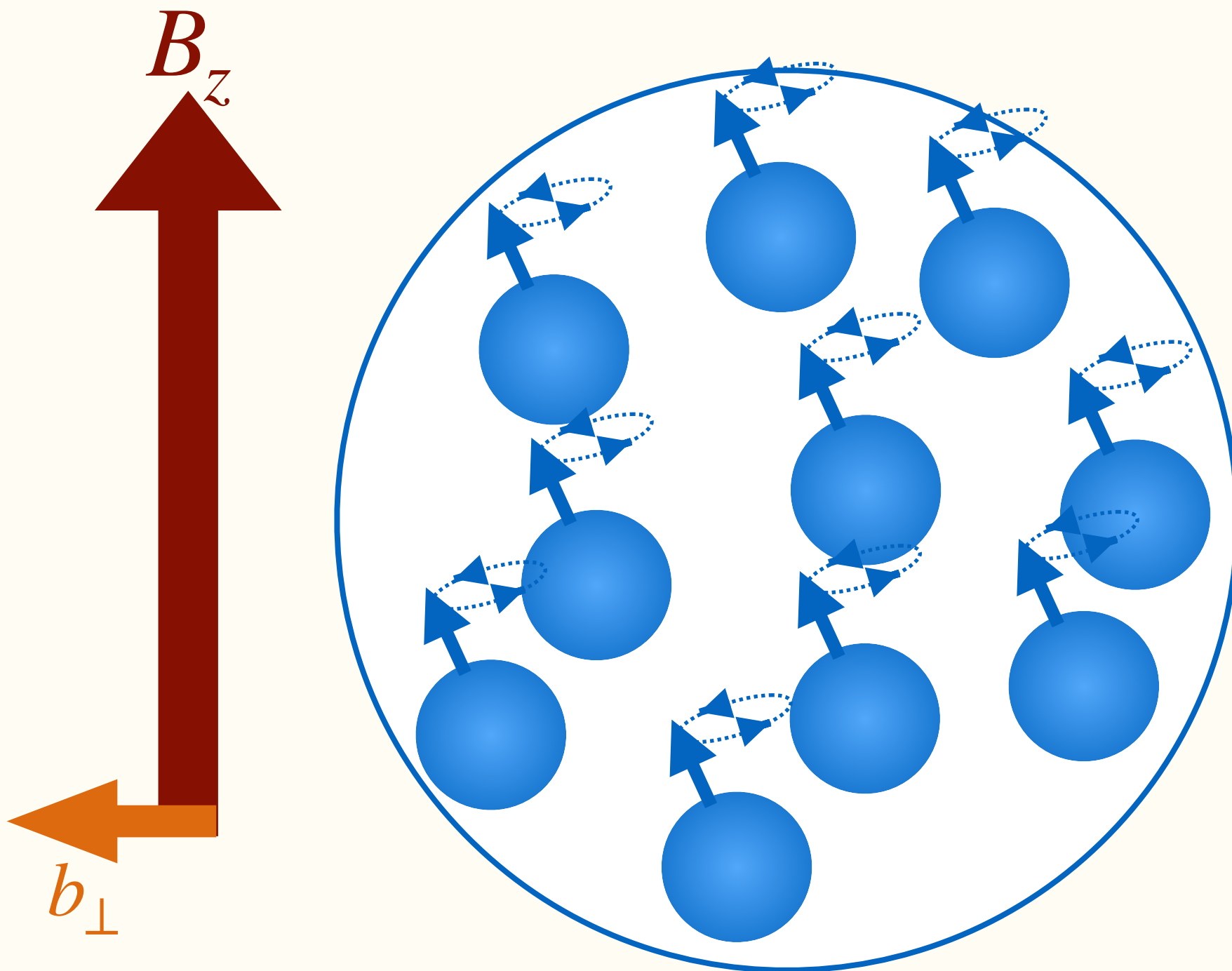
Spins will precess

# Atomic (Co-)Magnetometers



Add now a small anomalous magnetic field

# Atomic (Co-)Magnetometers

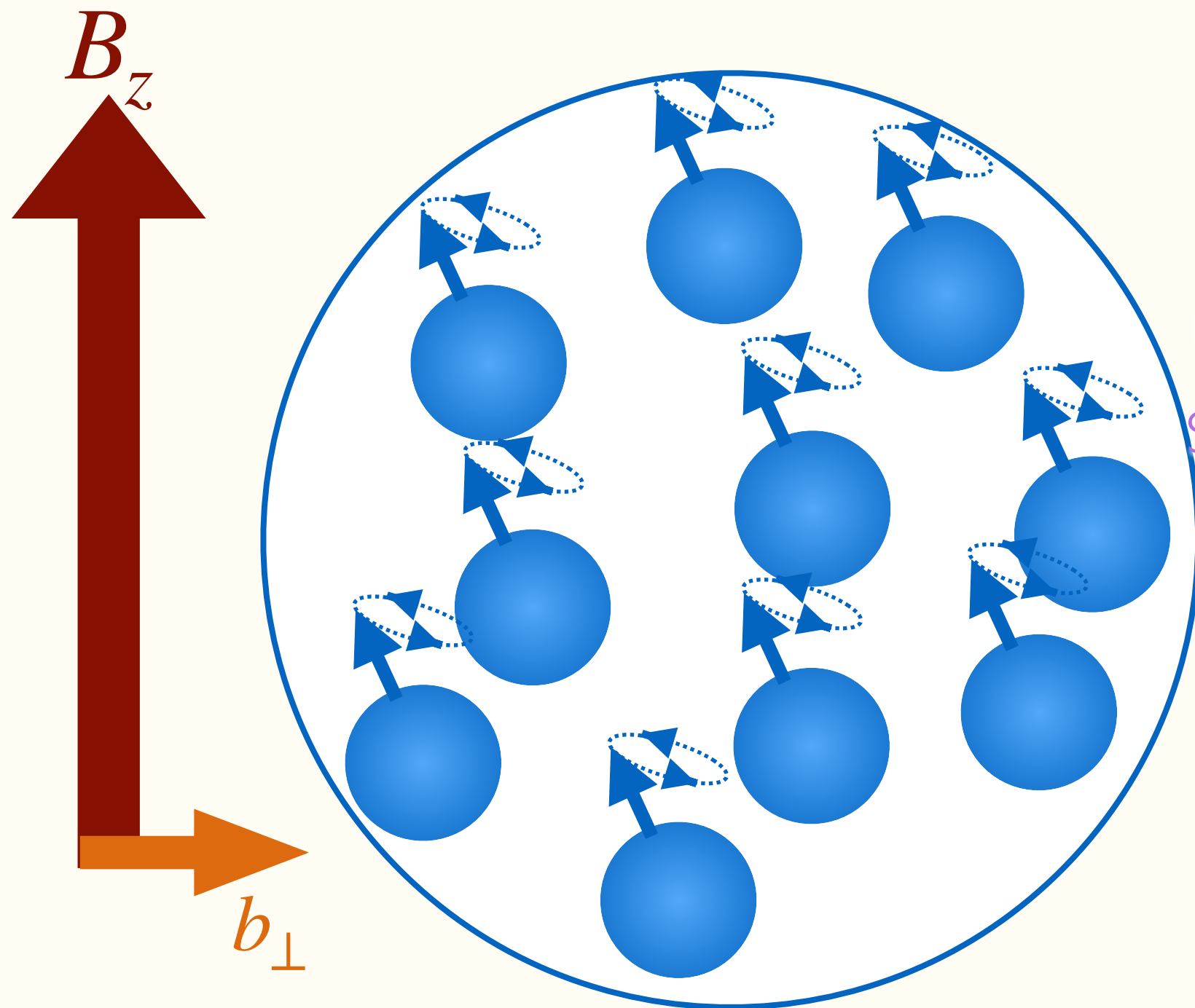


Add now a small anomalous  
magnetic field

Precession will shift

[Kolokolov, Vorobev, 1995; Budker et al., 2013]

# Atomic (Co-)Magnetometers



Add now a small anomalous magnetic field

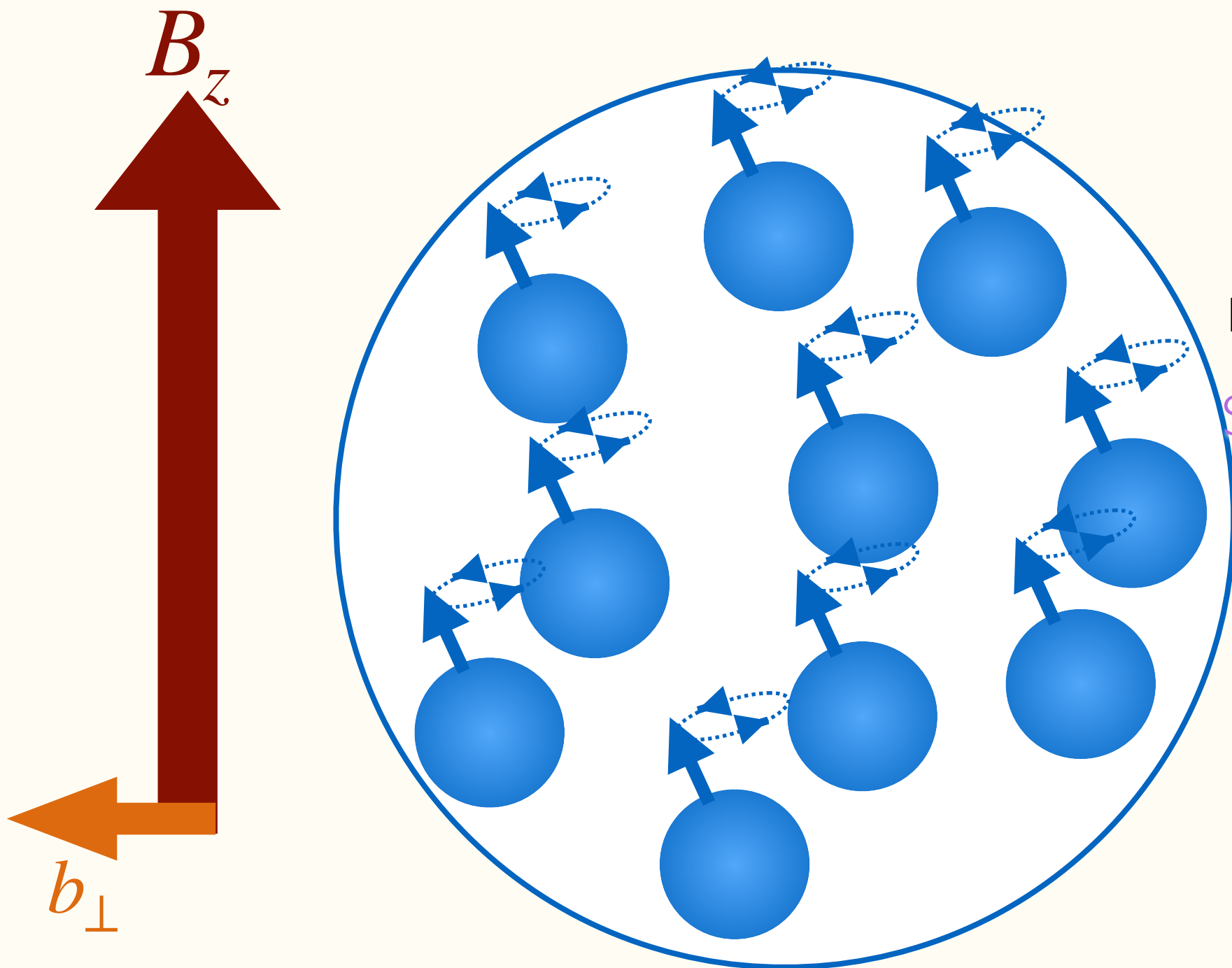
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[Kolokolov, Vorobev, 1995; Budker et al., 2013]

Since anomalous field changes  
Spins will try to follow

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

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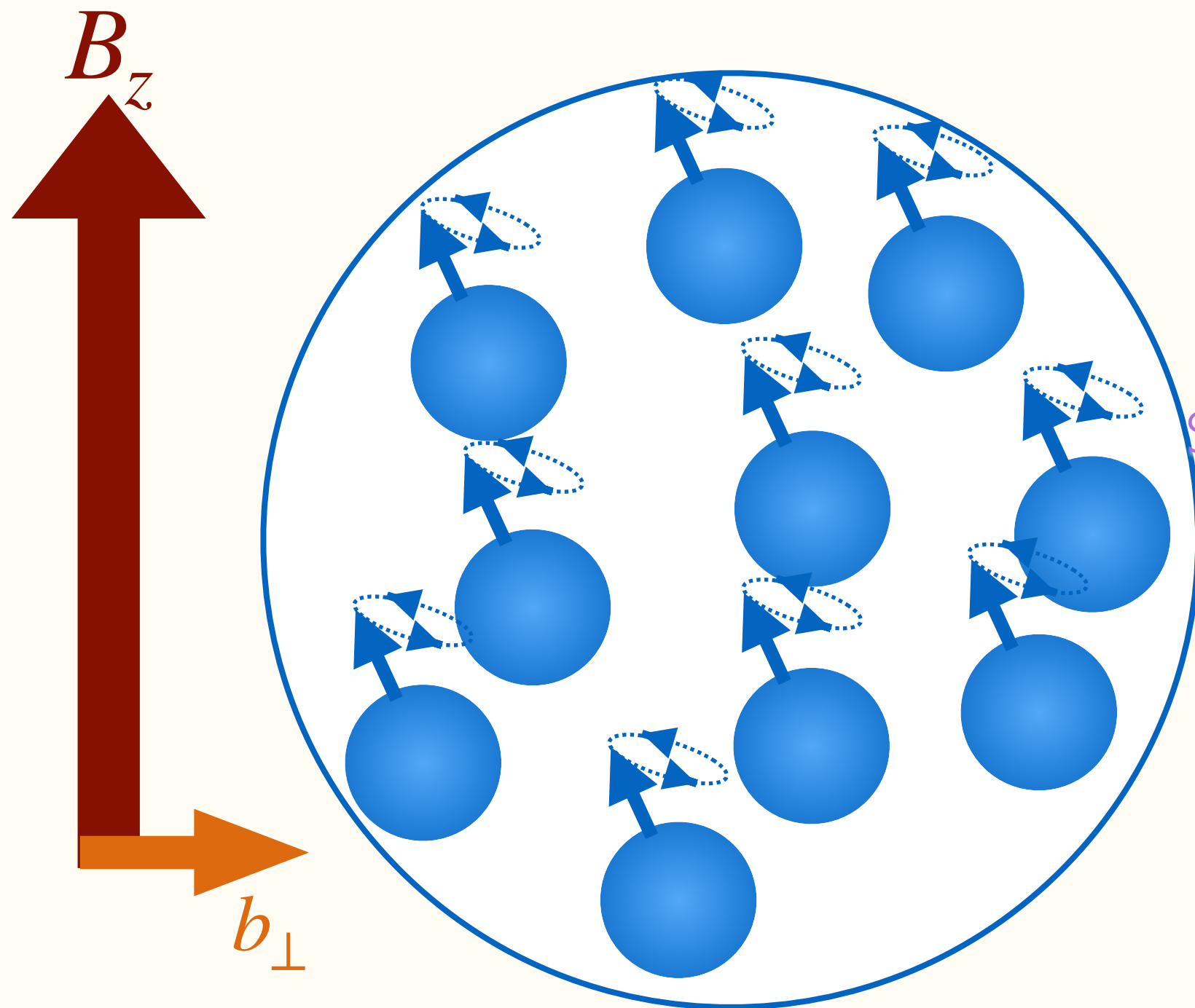
[Kolokolov, Vorobev, 1995; Budker et al., 2013]

Since anomalous field changes  
Spins will try to follow

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$



# Atomic (Co-)Magnetometers



Add now a small anomalous magnetic field

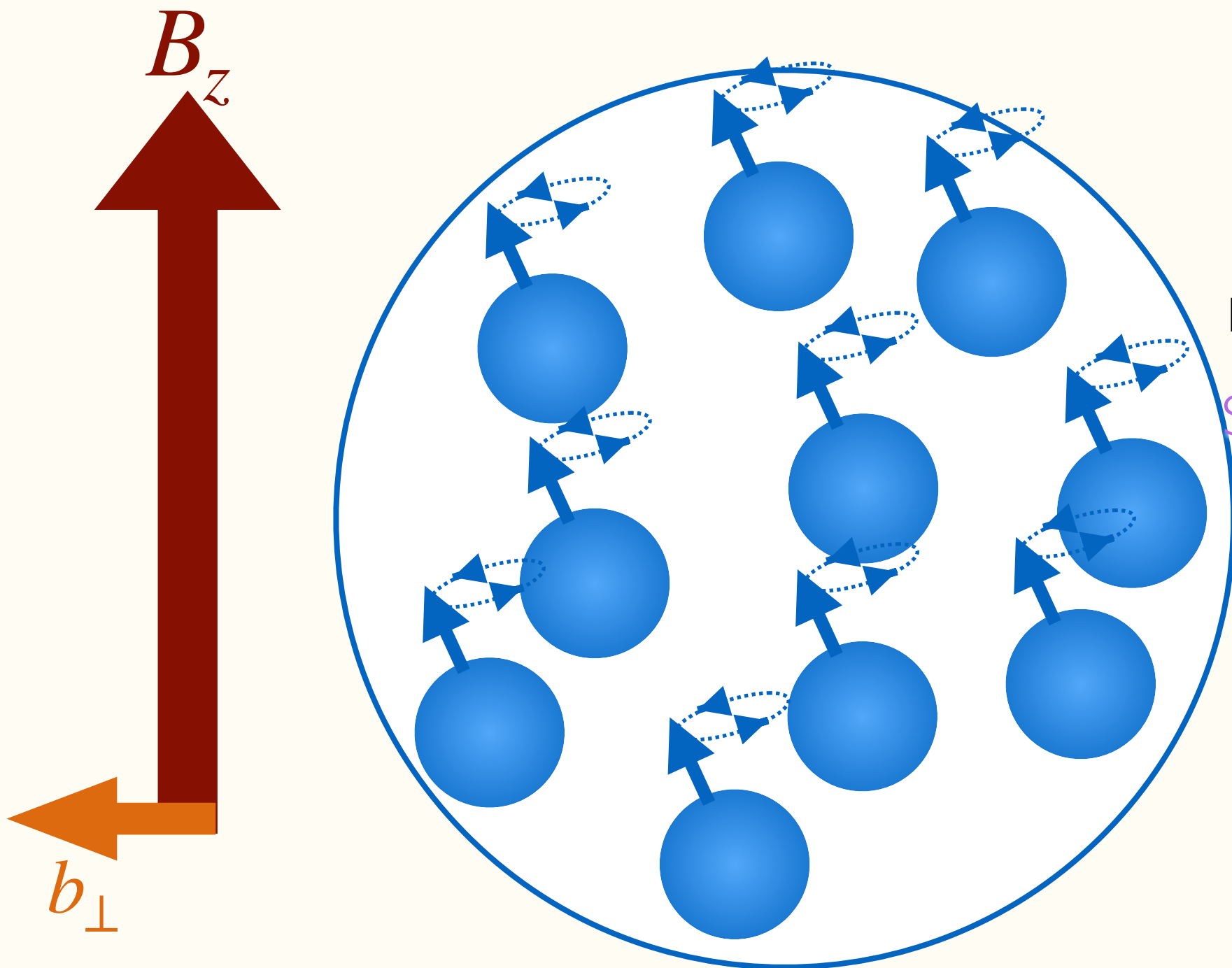
Precession will shift

[Kolokolov, Vorobev, 1995; Budker et al., 2013]

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Spins will try to follow

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

# Atomic (Co-)Magnetometers



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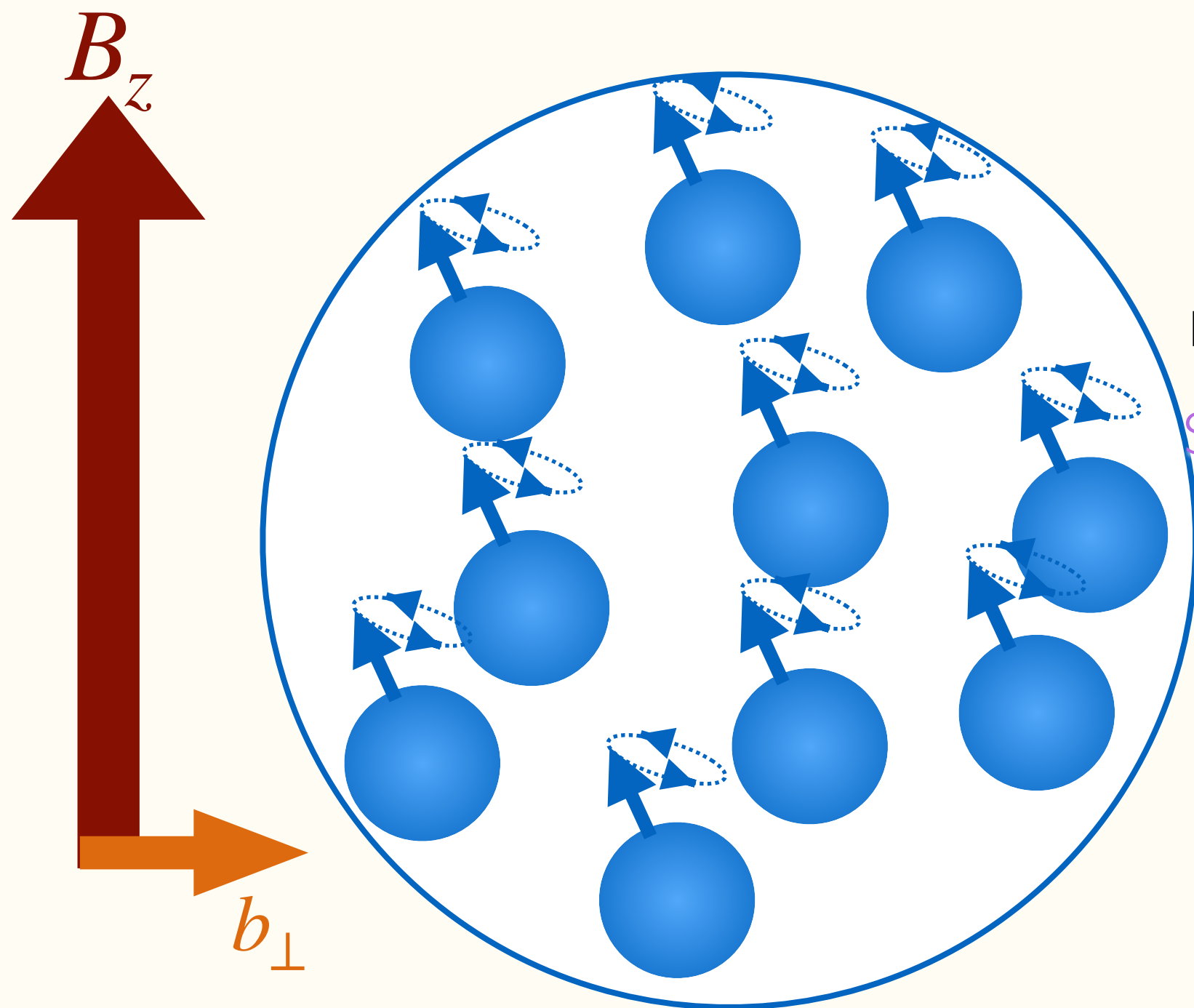
Precession will shift

[Kolokolov, Vorobev, 1995; Budker et al., 2013]

Since anomalous field changes  
Spins will try to follow

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

# Atomic (Co-)Magnetometers



Add now a small anomalous magnetic field

Precession will shift

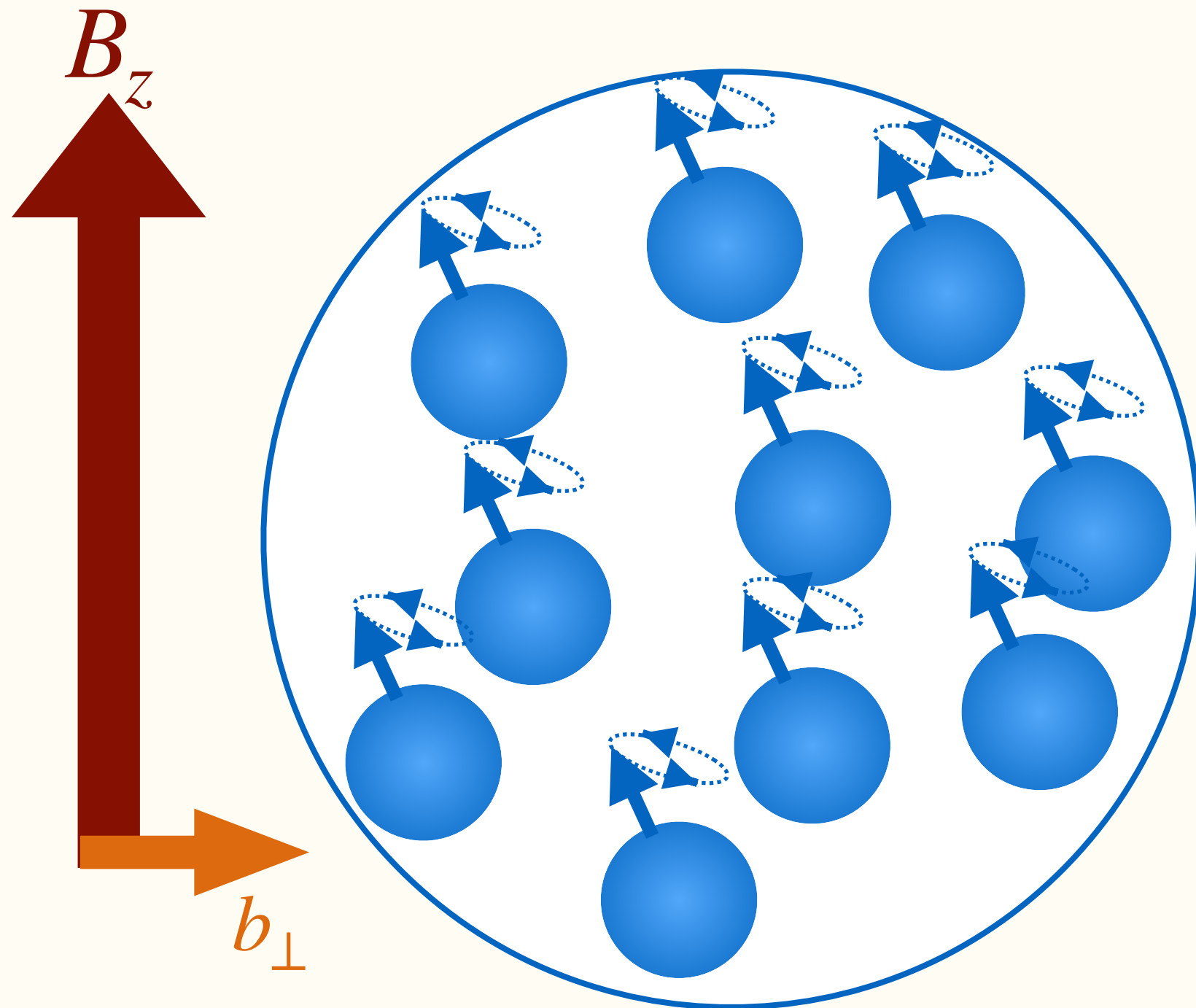
[Kolokolov, Vorobev, 1995; Budker et al., 2013]

Since anomalous field changes  
Spins will try to follow

Anomalous field act  
as driving force

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

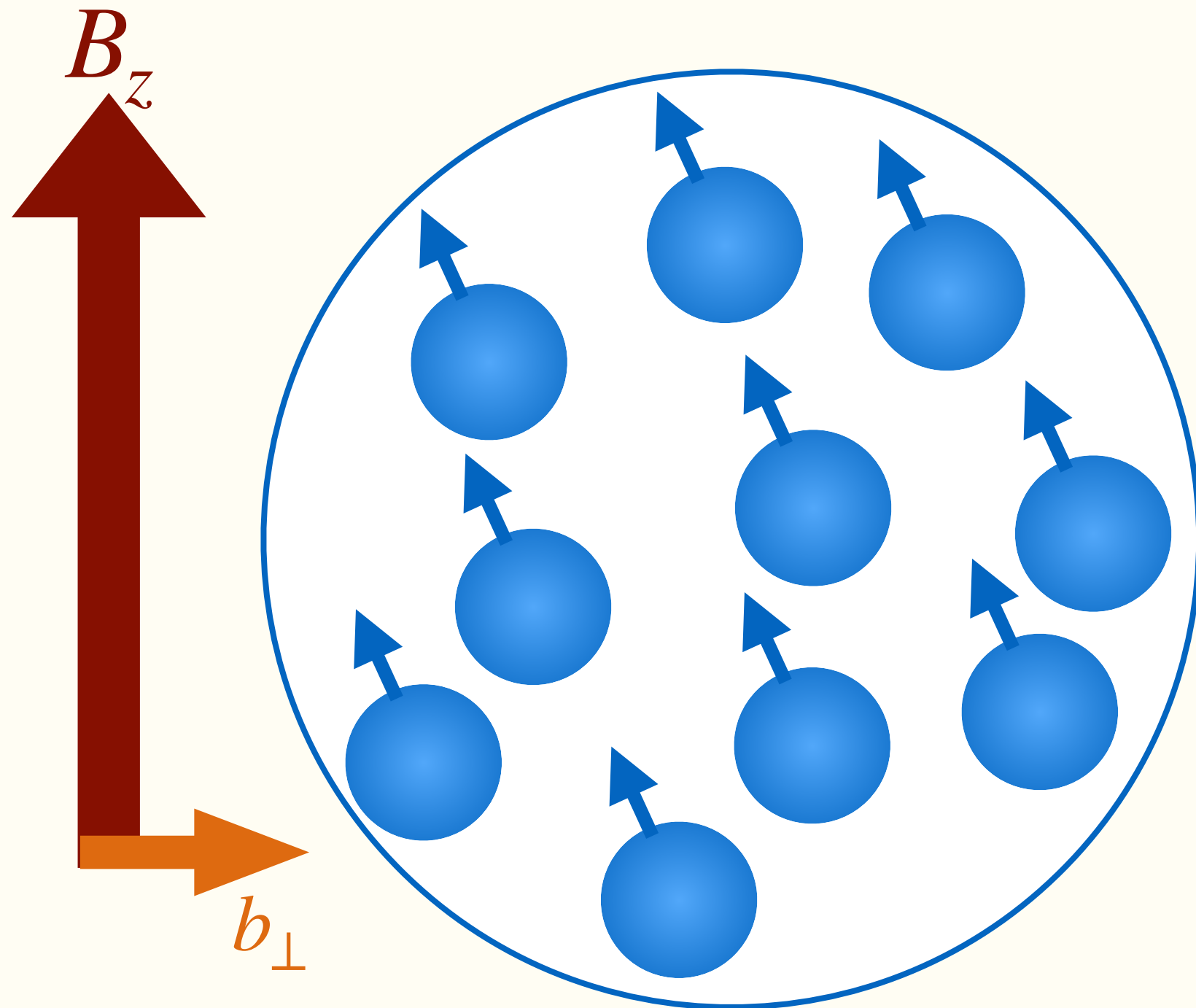
# Atomic (Co-)Magnetometers



Anomalous field act  
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$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

# Atomic (Co-)Magnetometers

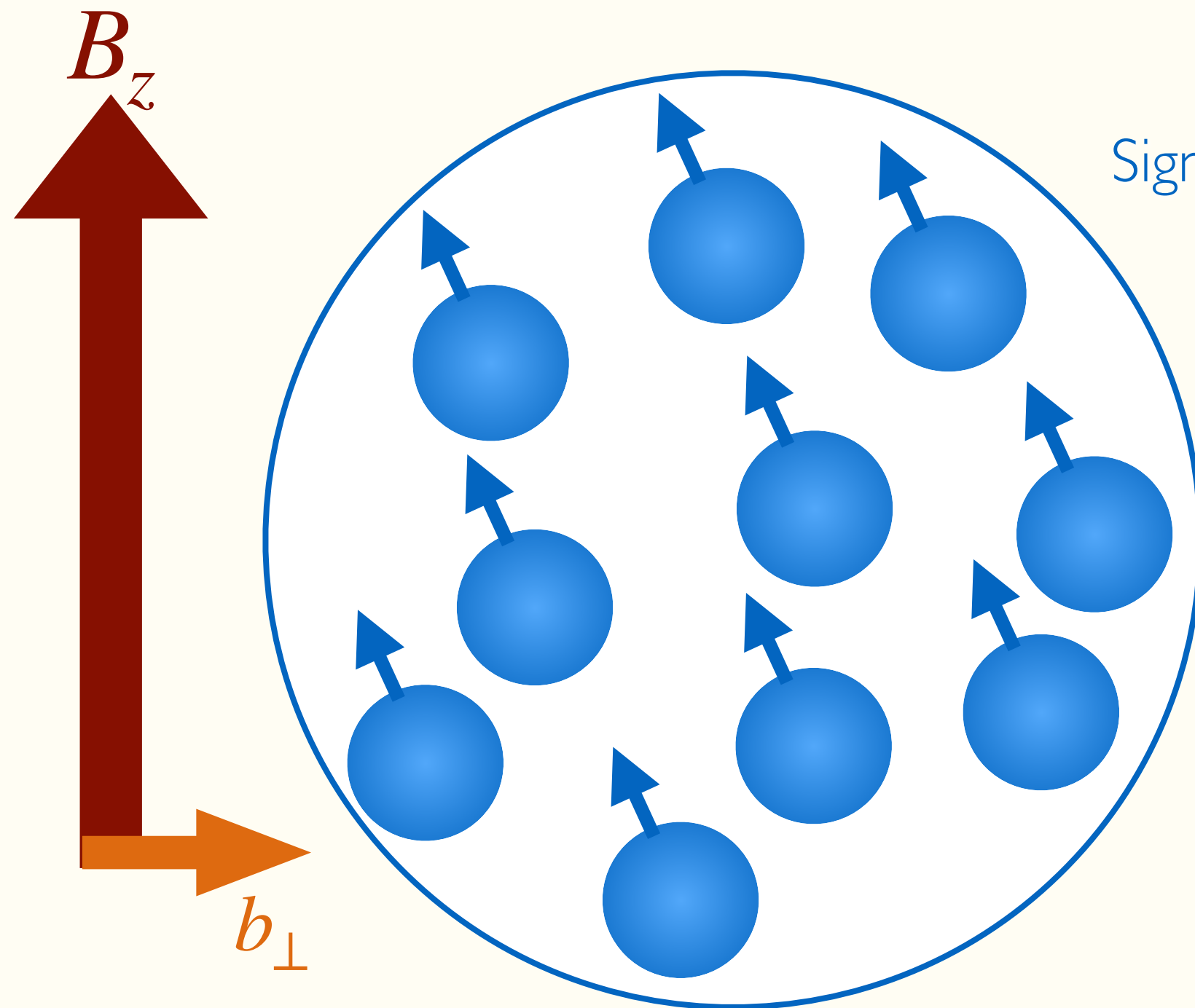


Anomalous field act  
as driving force

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

# Atomic (Co-)Magnetometers



Anomalous field act  
as driving force

Signal

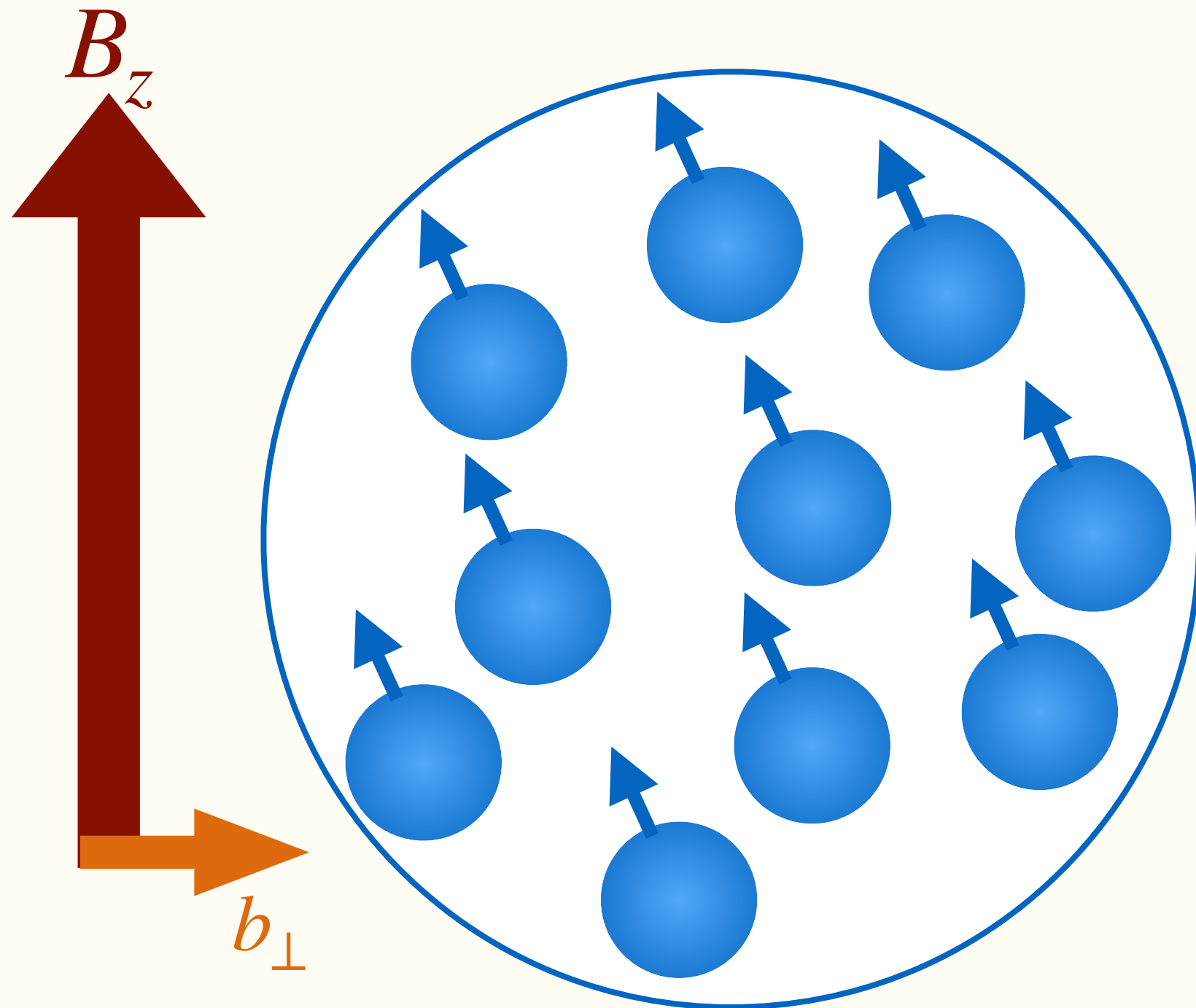
Noise

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$



# Atomic (Co-)Magnetometers



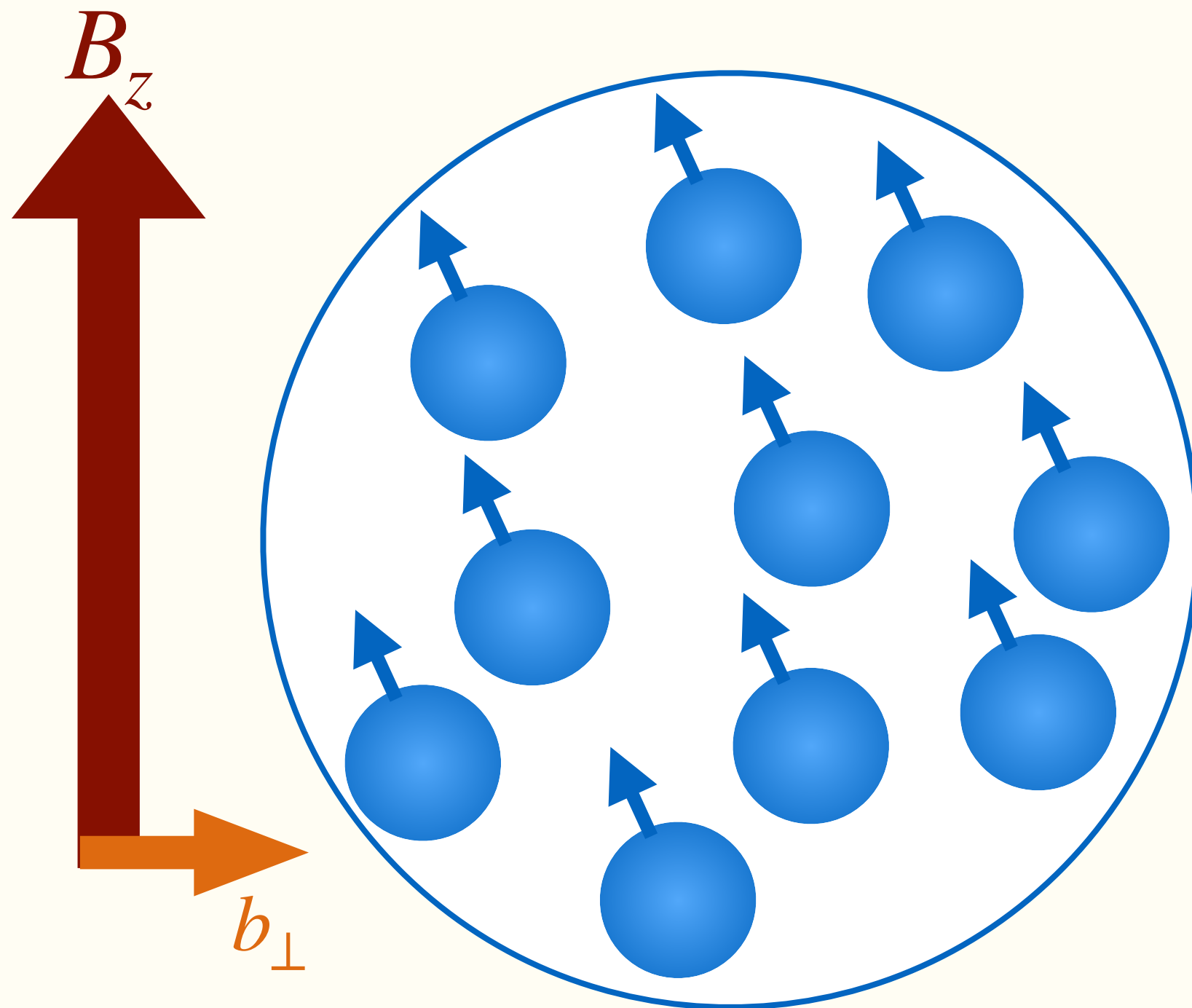
Anomalous field act  
as driving force

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

Resonance Effect!!

$$\vec{b}_{a-\psi} = g_{a\psi\psi} \sqrt{2\rho_a} \cos(m_a t) \cdot \vec{v}_{a-\psi}$$

# Atomic (Co-)Magnetometers



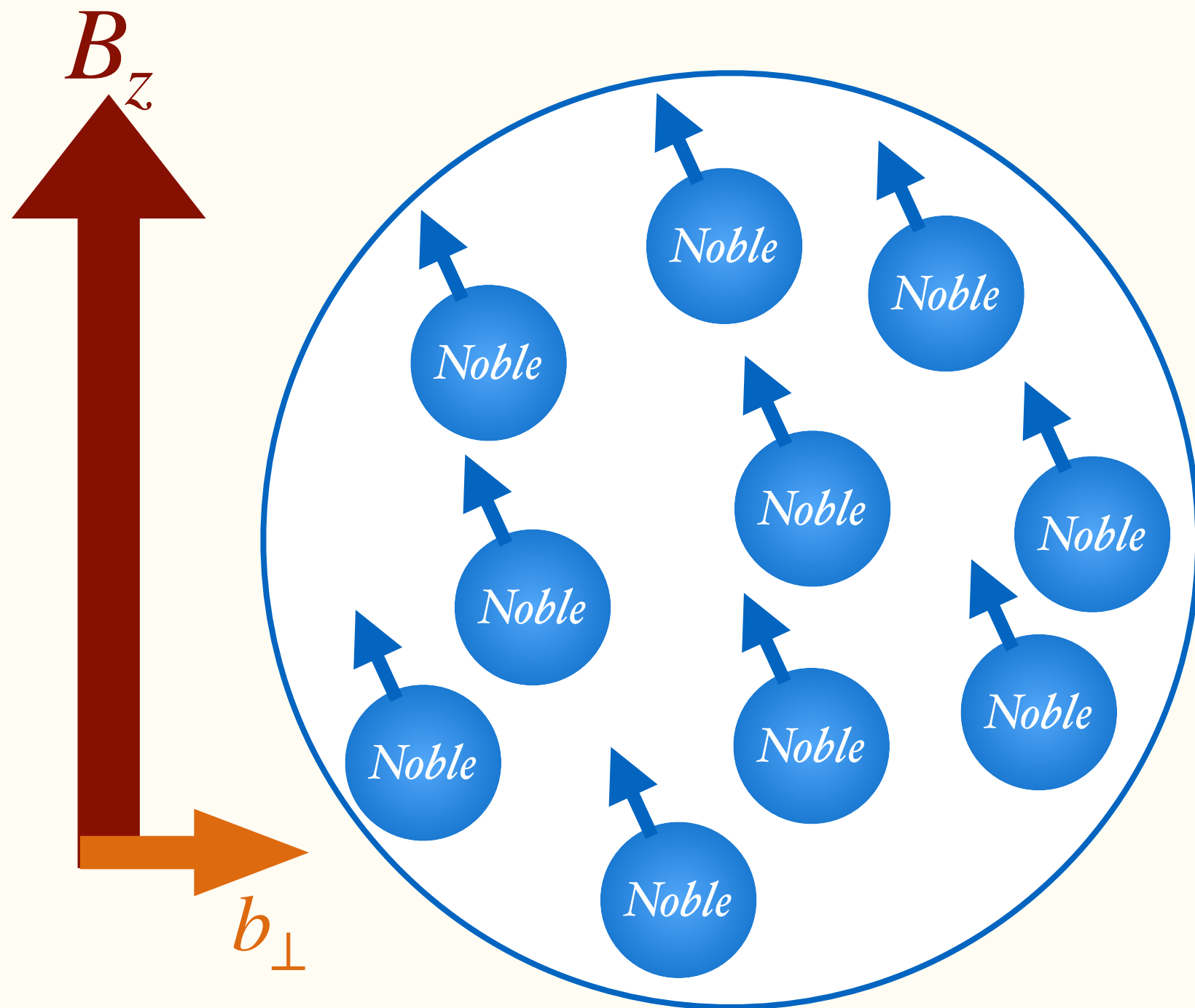
Anomalous field act  
as driving force

$$S_{\perp} = \frac{b_{\perp} + \gamma B_{\perp}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

**PROBLEM!**

Susceptible to  
magnetic noise

# Atomic (Co-)Magnetometers



Anomalous field act  
as driving force

$$S_{\perp} = \frac{b_{\perp} + \cancel{\gamma B_{\perp}}}{i\Gamma + (\gamma B_z - m_a)} S_z$$

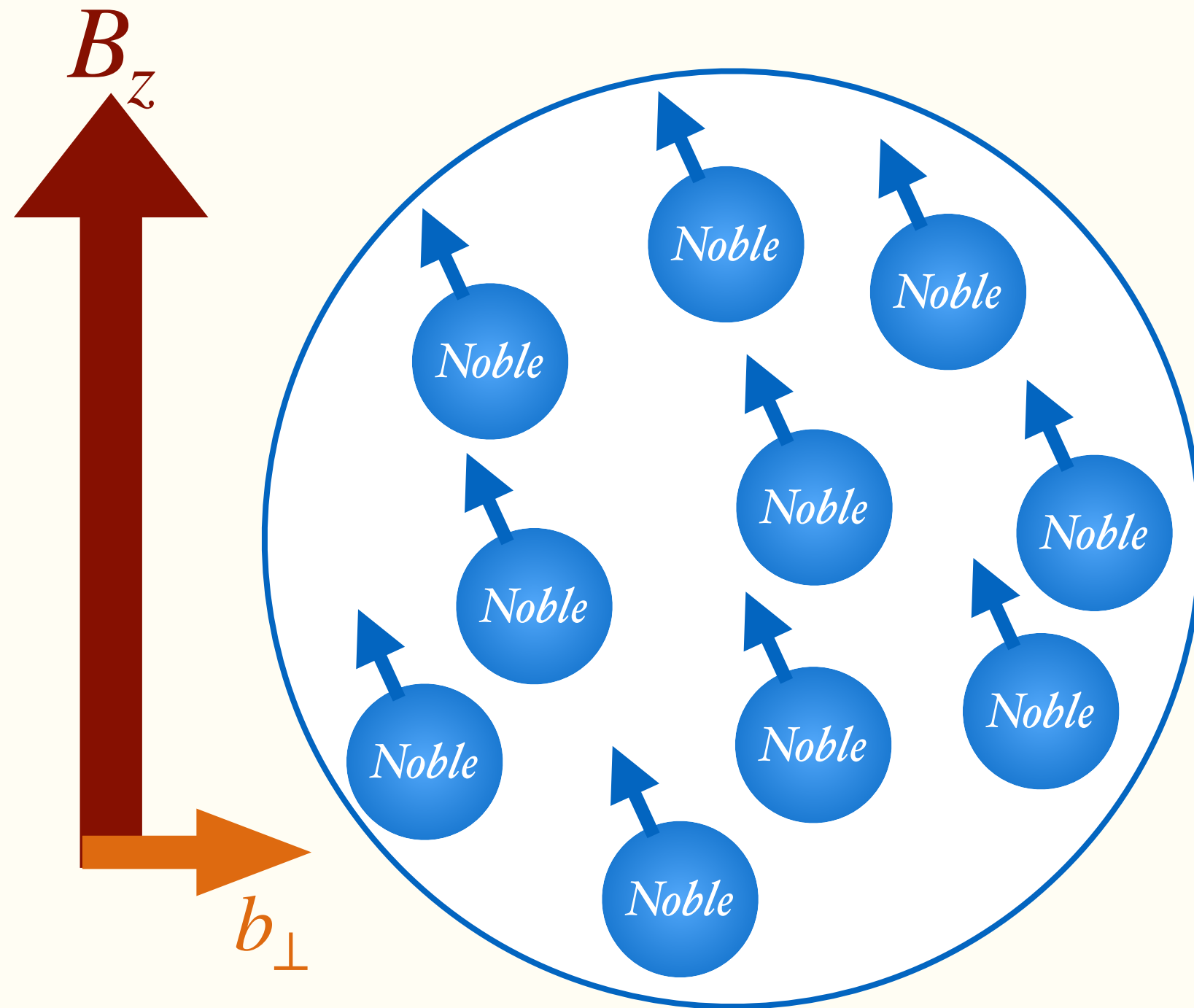
**PROBLEM:**

Susceptible to  
magnetic noise

**SOLUTION:**

Take Noble atoms  
which have small  $\gamma$

# Atomic (Co-)Magnetometers

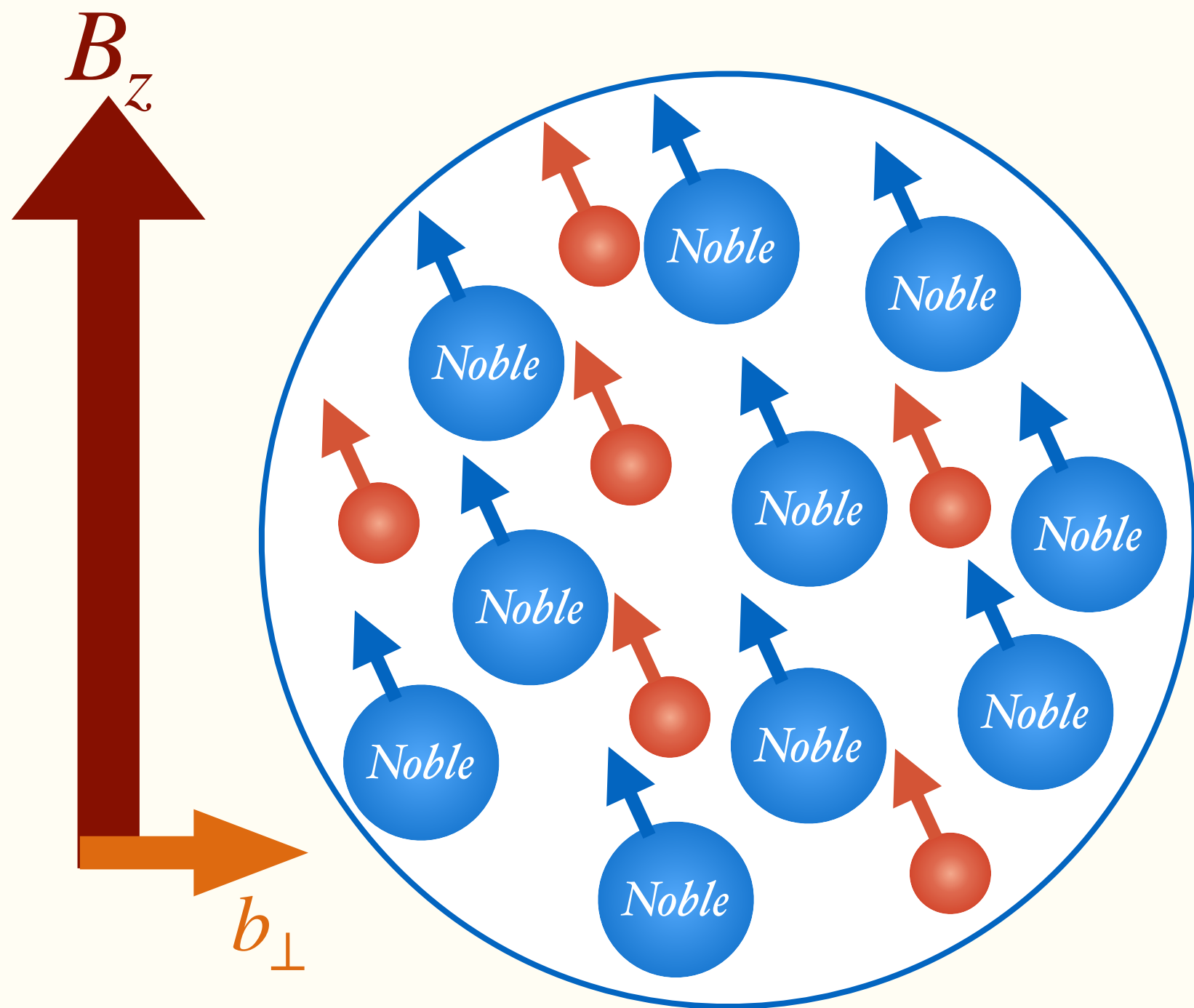


For Noble atoms,  
spin is nuclear

**PROBLEM:**

How can we read  
their spin?

# Atomic (Co-)Magnetometers



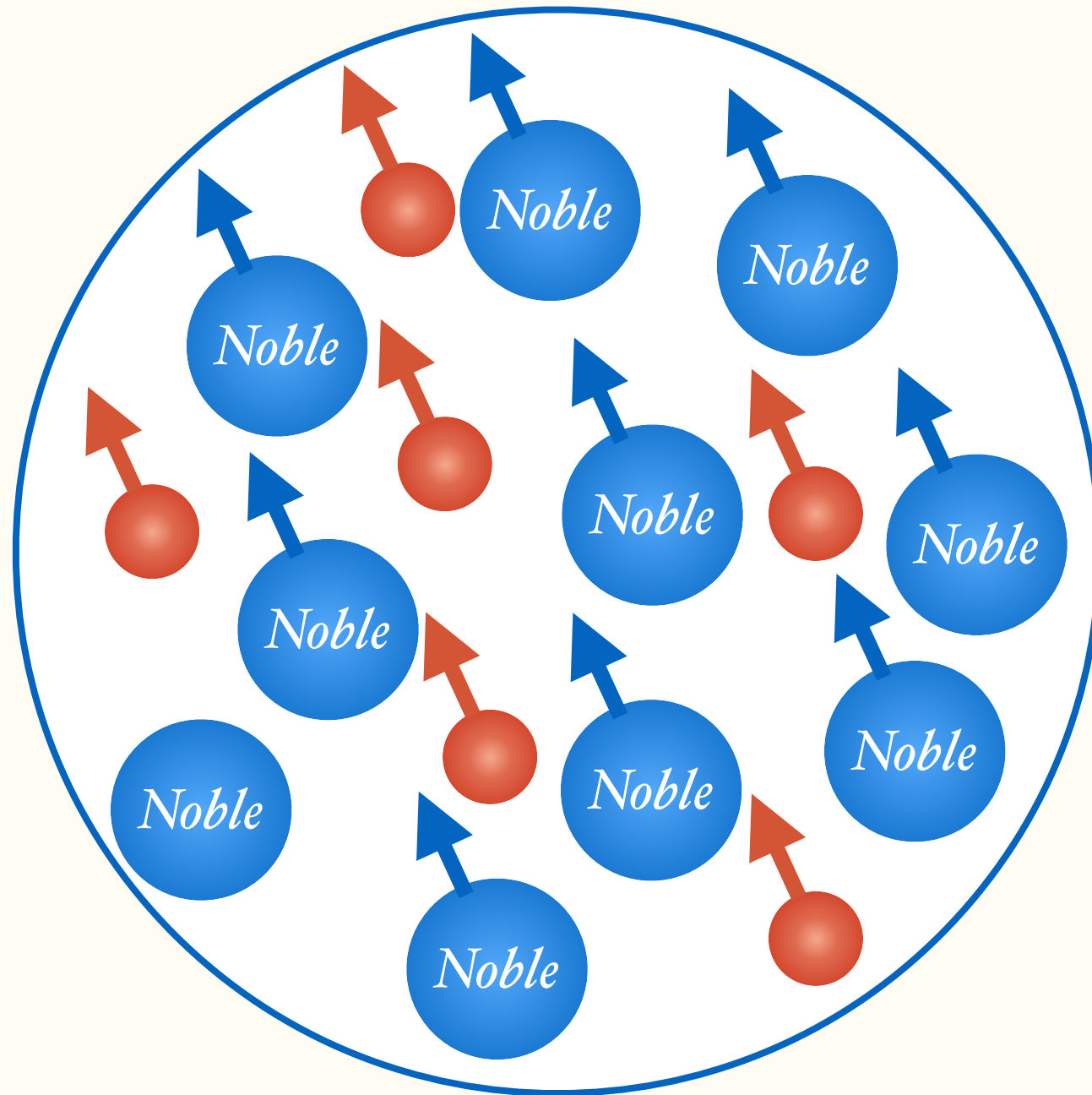
For Noble atoms,  
spin is nuclear

**PROBLEM:**

How can we read  
their spin?

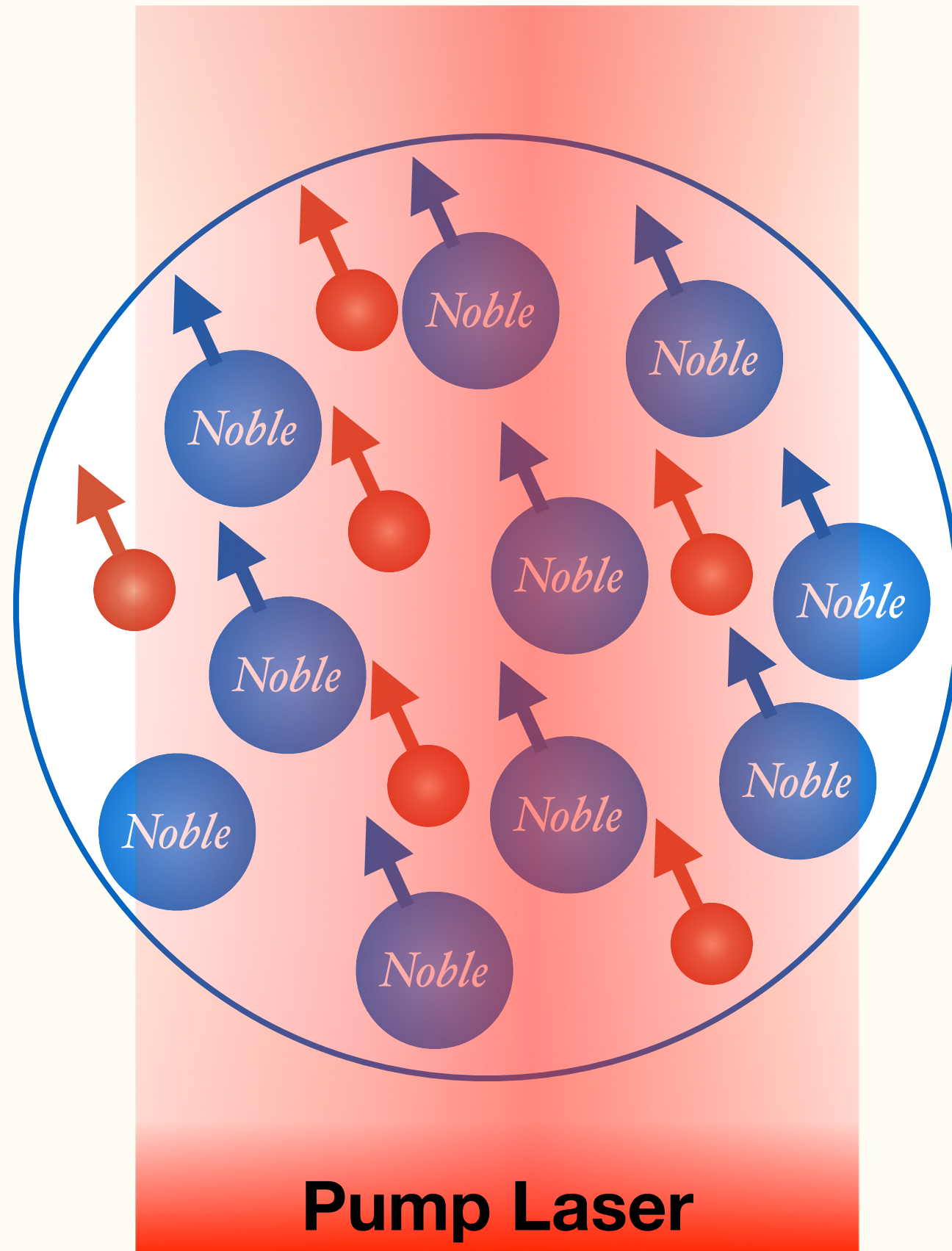
**SOLUTION:**

Add another in-situ  
optical magnetometer  
(typically Alkali metal)



Lasers interact only  
with Alkali



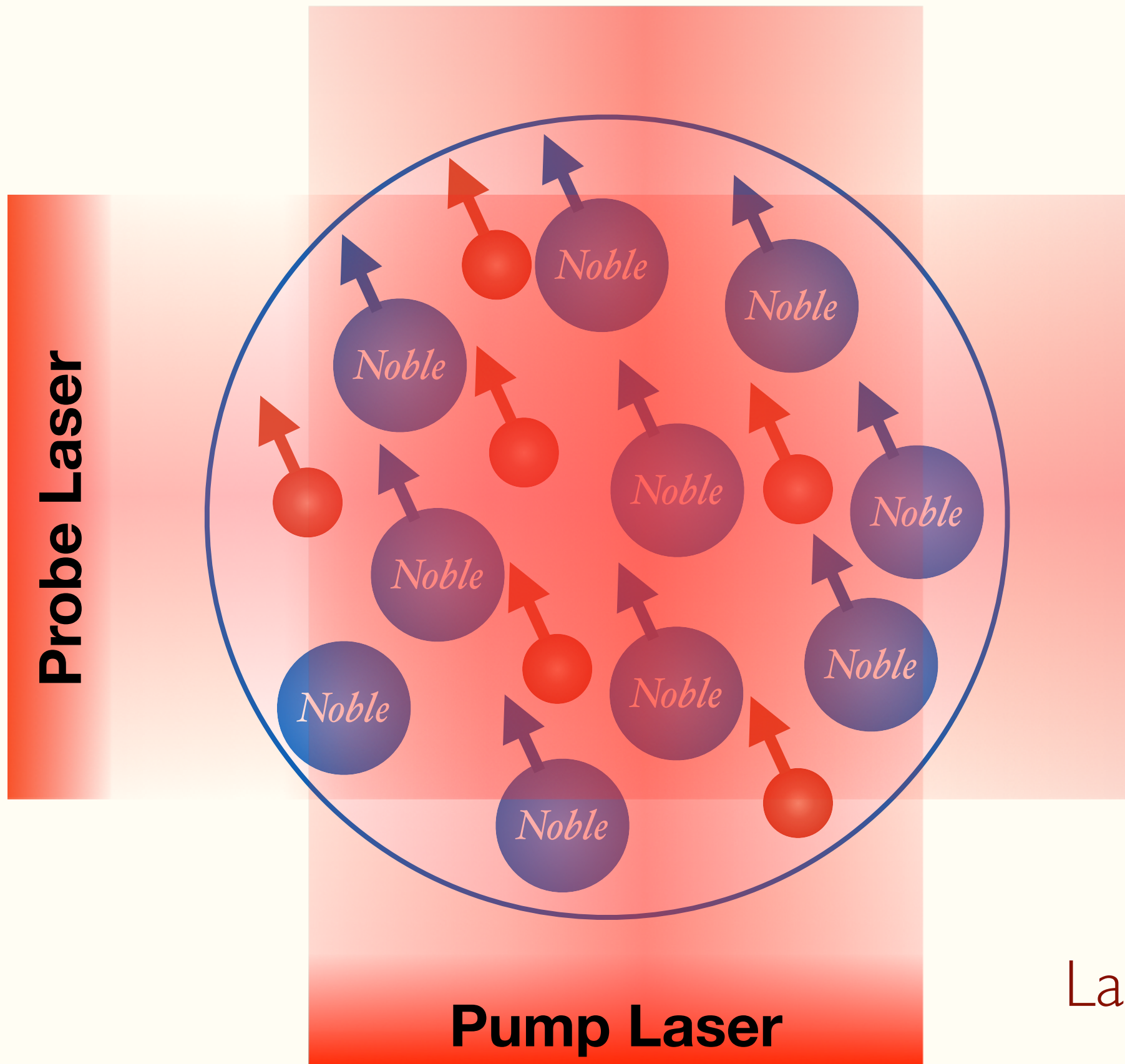


Lasers interact only with Alkali

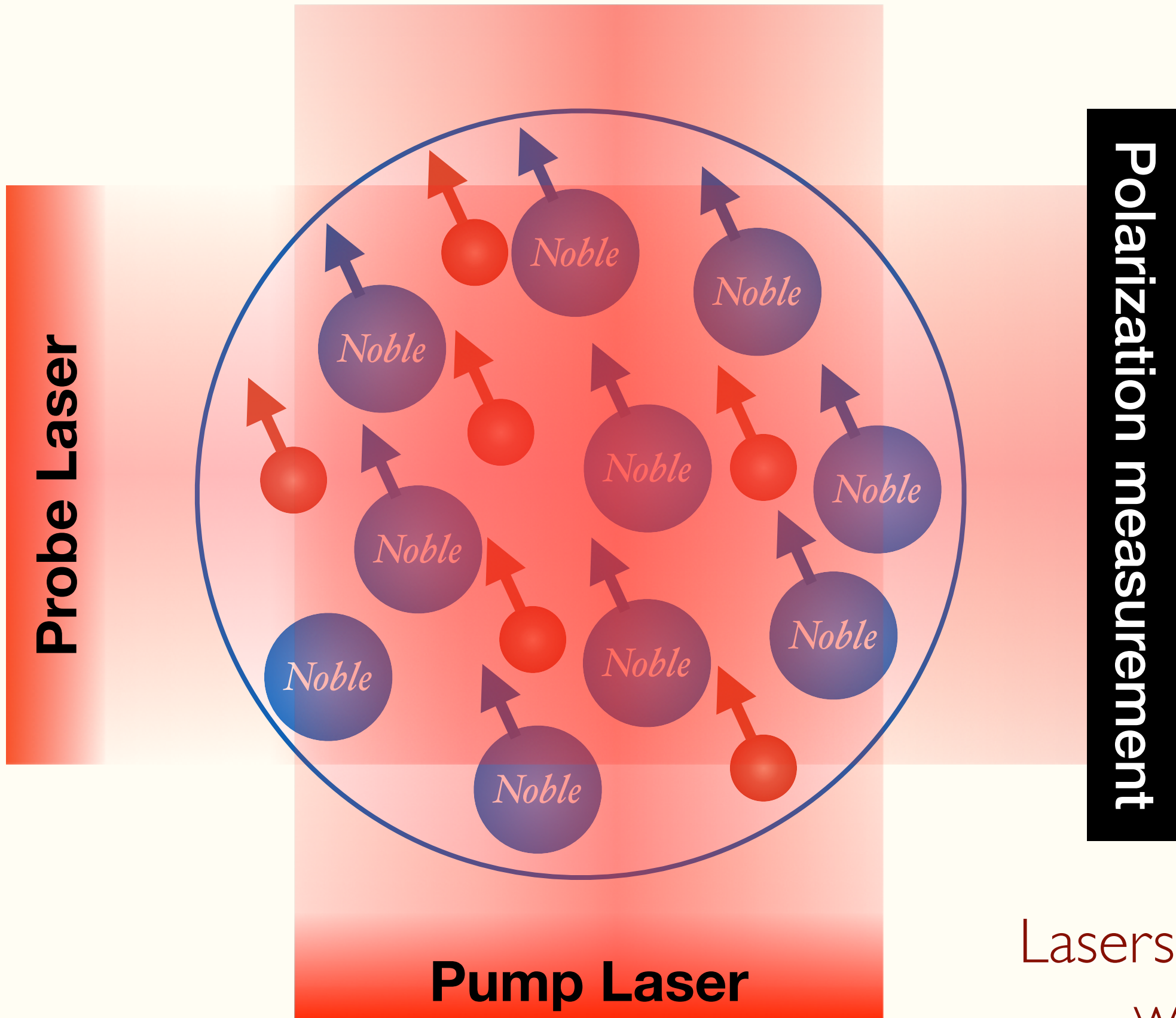


# Atomic (Co-)Magnetometers

Skip

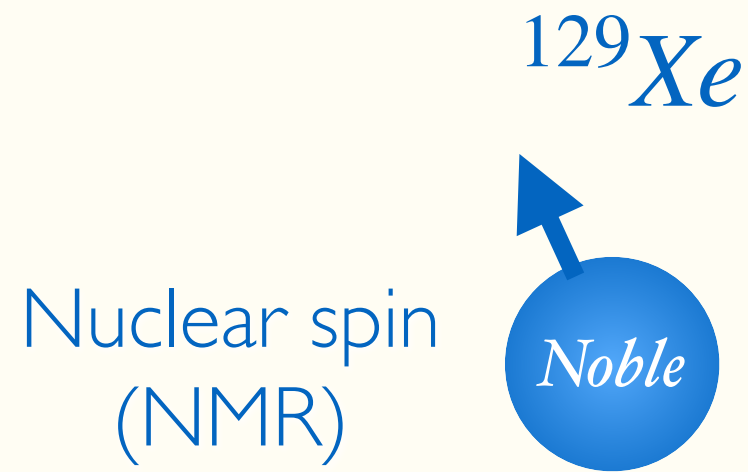


Lasers interact only with Alkali



Lasers interact only with Alkali

# Atomic (Co-)Magnetometers

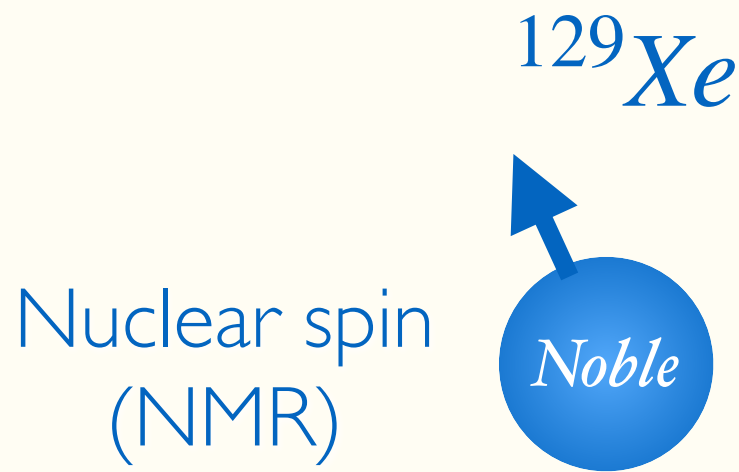


$$S_{\perp}^{\text{Xe}} = \frac{b_{\perp}}{i\Gamma_{\text{Xe}} + (\gamma_{\text{Xe}}B_z - m_a)} S_z$$

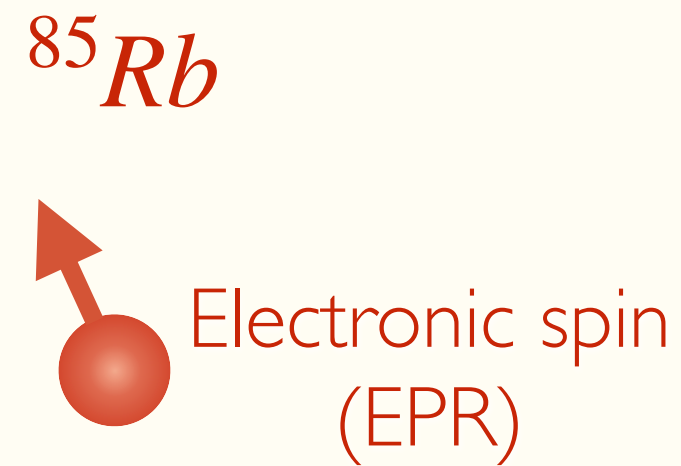
$$\gamma_{\text{Xe}} = -1.18 \text{ kHz/G}$$

$$\Gamma_{\text{Xe}} = 0.3 \text{ kHz}$$

# Atomic (Co-)Magnetometers



Two interacting  
resonating systems



$$S_{\perp}^{\text{Xe}} = \frac{b_{\perp}}{i\Gamma_{\text{Xe}} + (\gamma_{\text{Xe}}B_z - m_a)} S_z$$

$$\gamma_{\text{Xe}} = -1.18 \text{ kHz/G}$$

$$\Gamma_{\text{Xe}} = 0.3 \text{ kHz}$$

$\ll$

$\ll$

$$S_{\perp}^{\text{Rb}} = \frac{\kappa_0 \gamma_{\text{Rb}} b_{\text{Xe}}}{i\Gamma_{\text{Rb}} + (\gamma_{\text{Rb}}B_z - m_a)} S_{\perp}^{\text{Xe}}$$

$$\gamma_{\text{Rb}} = 467 \text{ kHz/G}$$

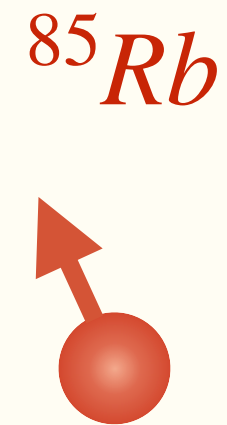
$$\Gamma_{\text{Rb}} = 6.6 \text{ kHz}$$

$$\kappa_0 = 518$$

# Atomic (Co-)Magnetometers



Two interacting  
resonating systems



$$S_{\perp}^{\text{Xe}} = \frac{b_{\perp}}{i\Gamma_{\text{Xe}} + (\gamma_{\text{Xe}}B_z - m_a)} S_z$$

$$S_{\perp}^{\text{Rb}} = \frac{\kappa_0 \gamma_{\text{Rb}} b_{\text{Xe}}}{i\Gamma_{\text{Rb}} + (\gamma_{\text{Rb}}B_z - m_a)} S_{\perp}^{\text{Xe}}$$

To search for large  $m_a$  one needs large  $B_z$   
but two systems are no longer in resonance



# Floquet Field Enhancement

To search for large  $m_a$  one needs large  $B_z$   
but two systems are no longer in resonance

A solution is to Floquet-modulate the magnetic field

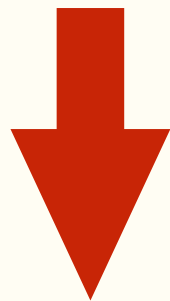
$$B_z = B_{z,0} + B_F \cos(\omega_F t)$$

# Floquet Field Enhancement

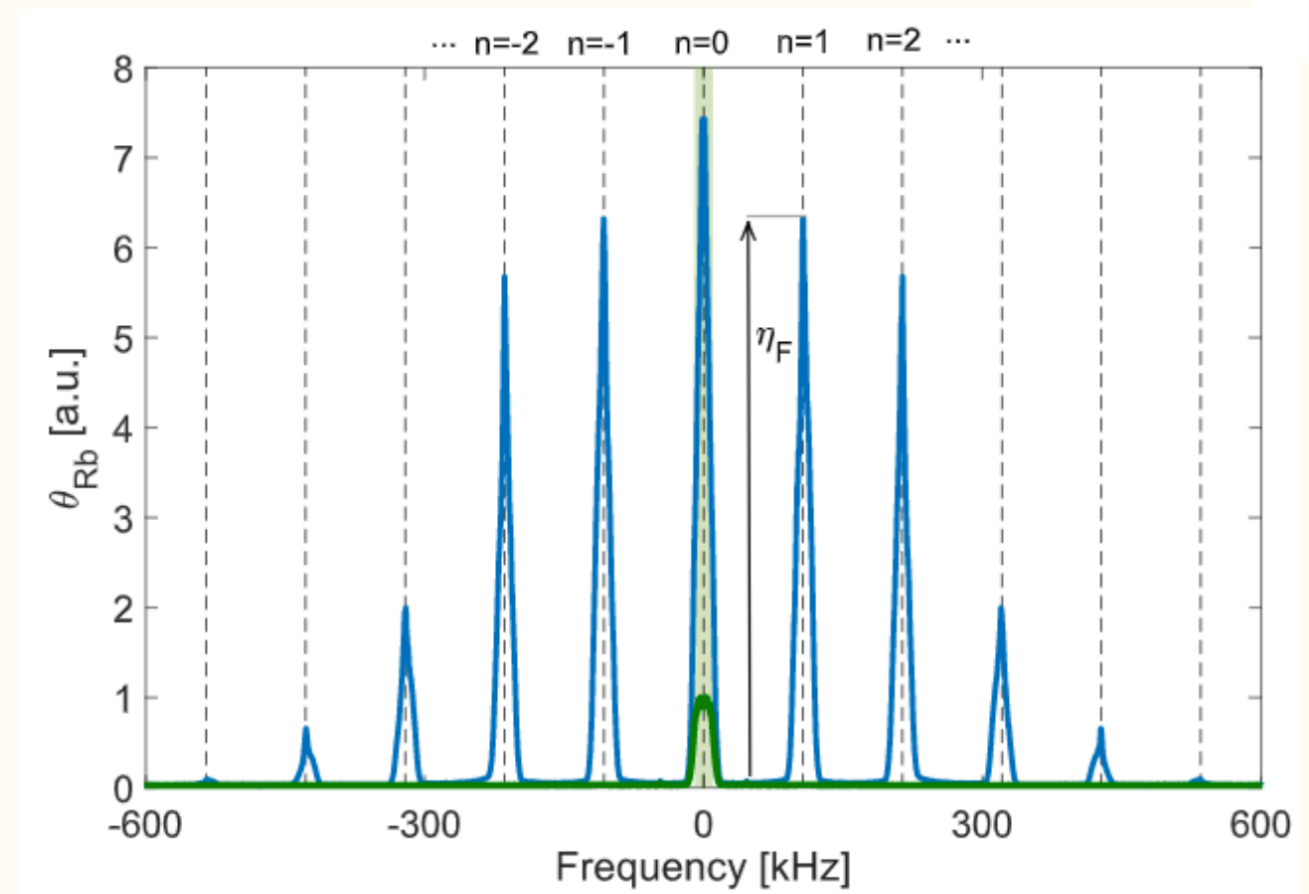
To search for large  $m_a$  one needs large  $B_z$   
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A solution is to Floquet-modulate the magnetic field

$$B_z = B_{z,0} + B_F \cos(\omega_F t)$$

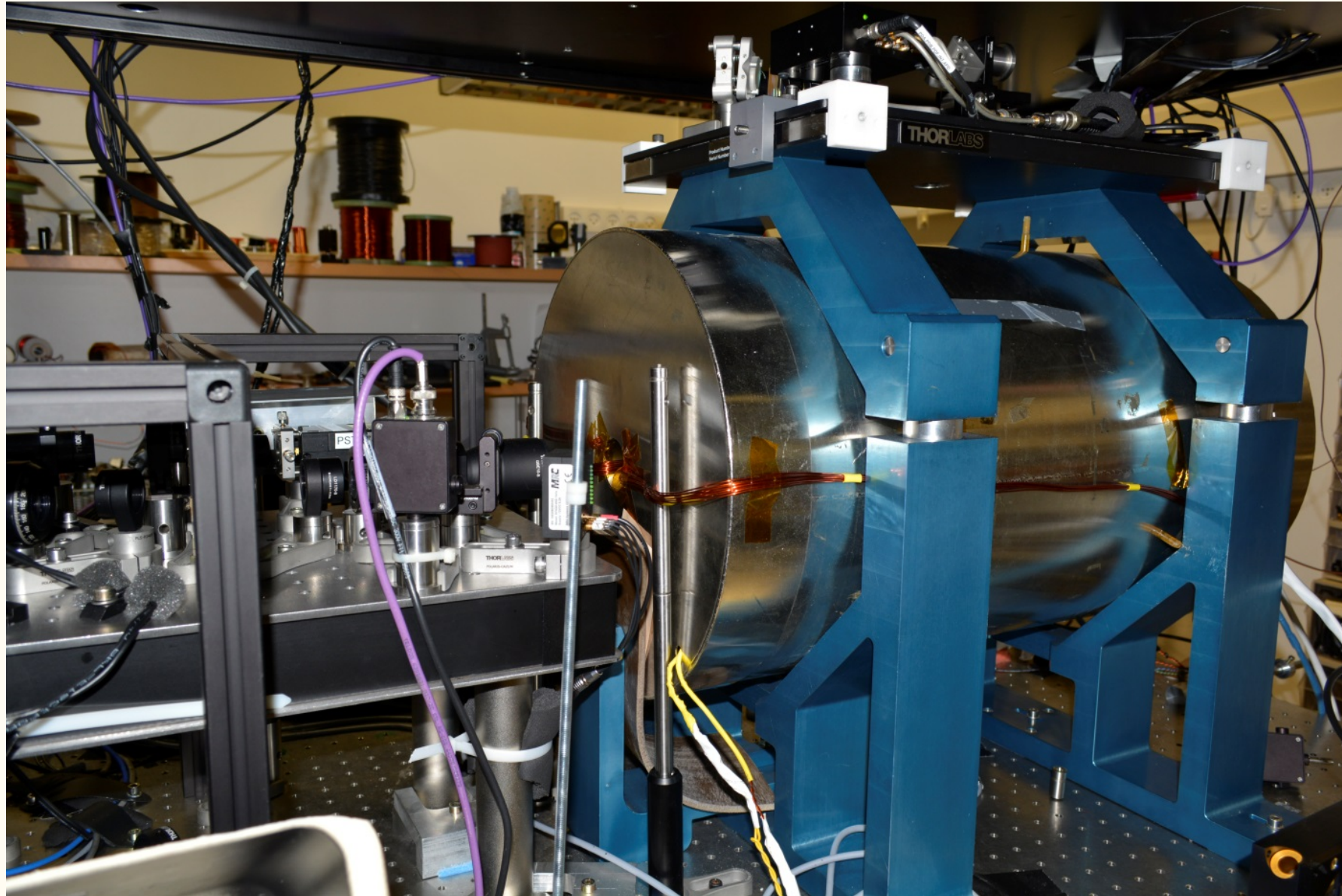


$$S_{\text{floquet}}^{\text{Rb}}(m_a + n\omega_F) = \eta_F^{(n)} S_{\perp}^{\text{Rb}}(m_a)$$





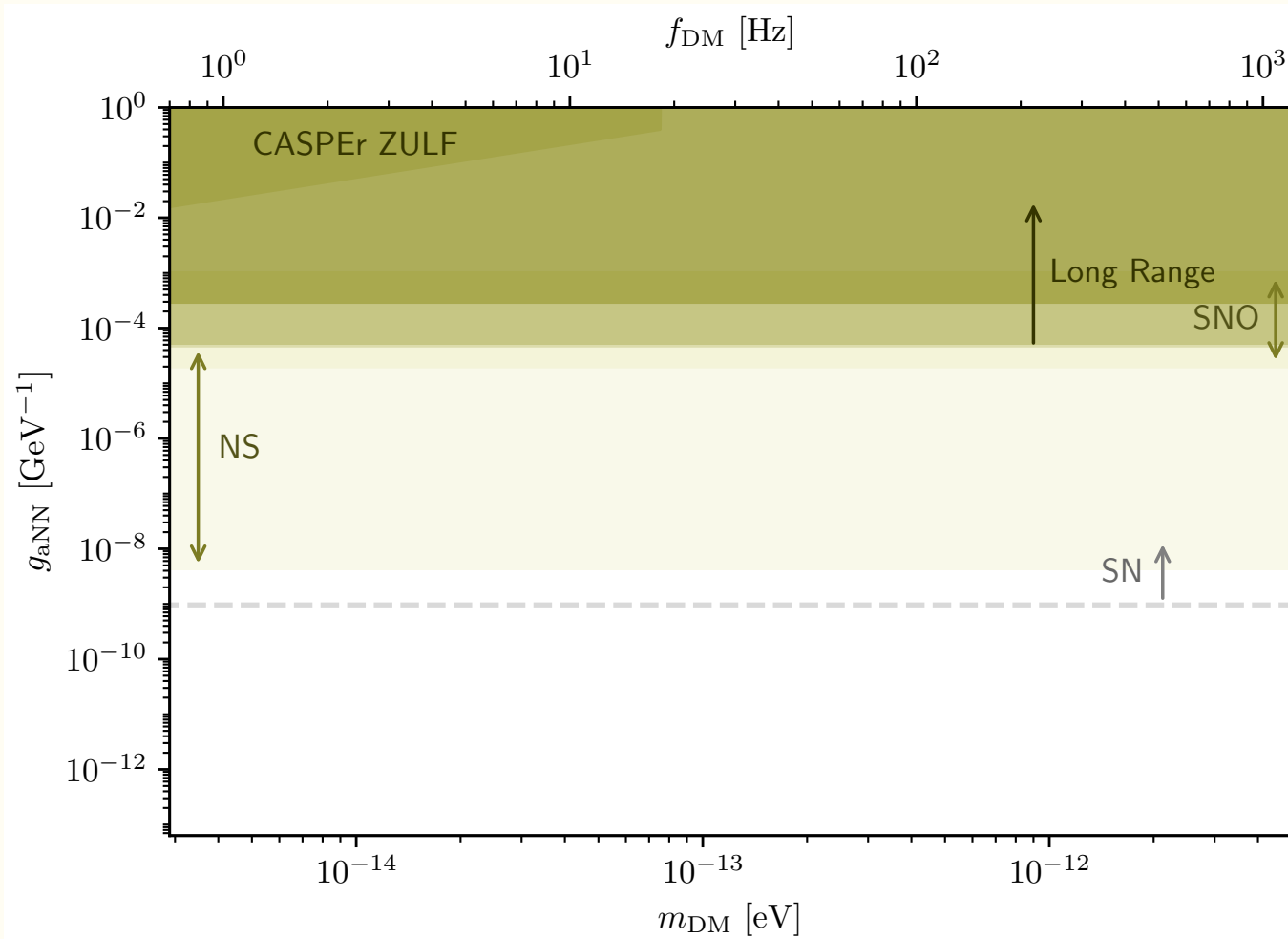




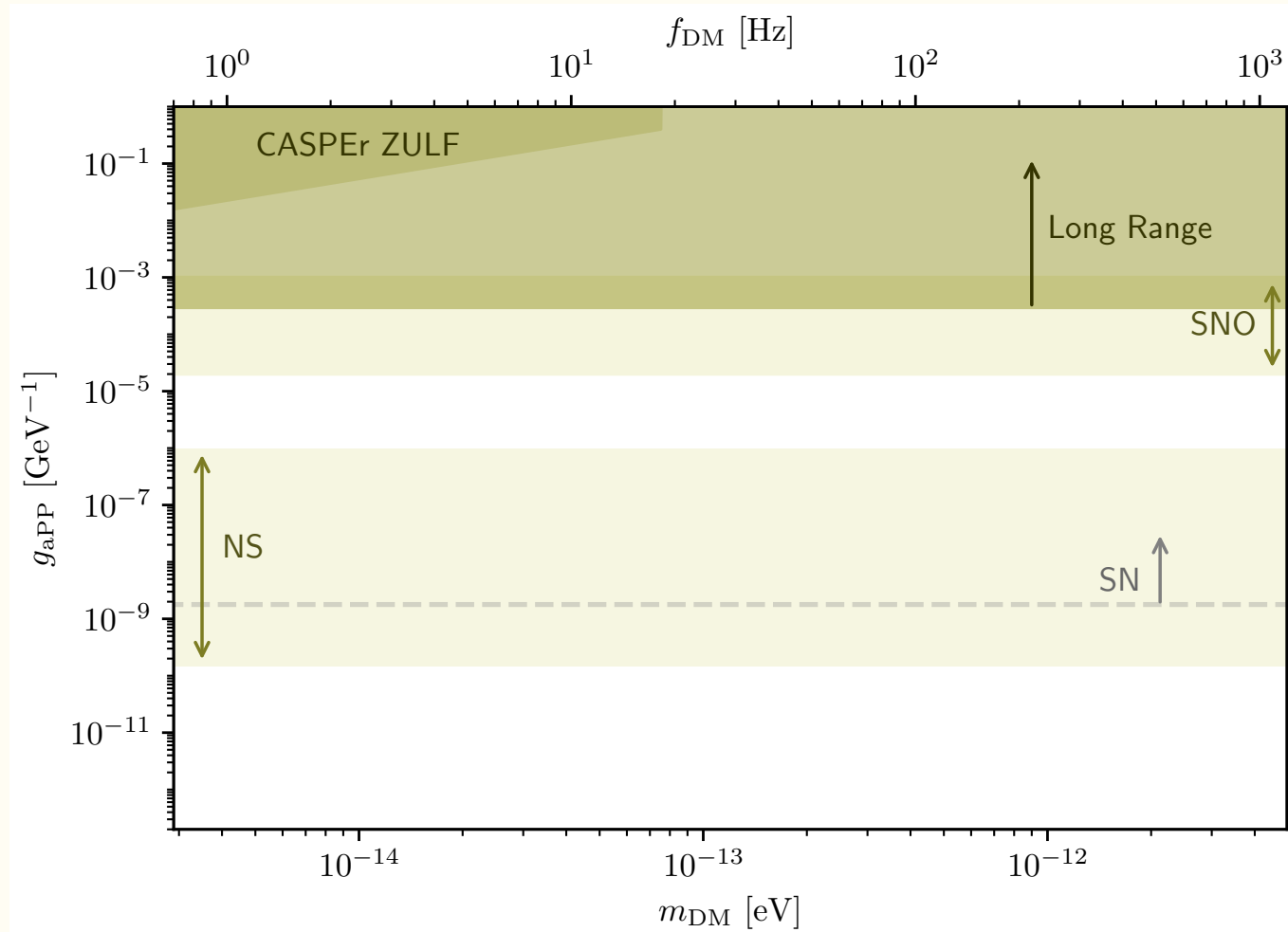
First results from NASDUCK:  
Floquet quantum sensor

# Floquet Quantum Sensor: Results

## ALP-Neutron

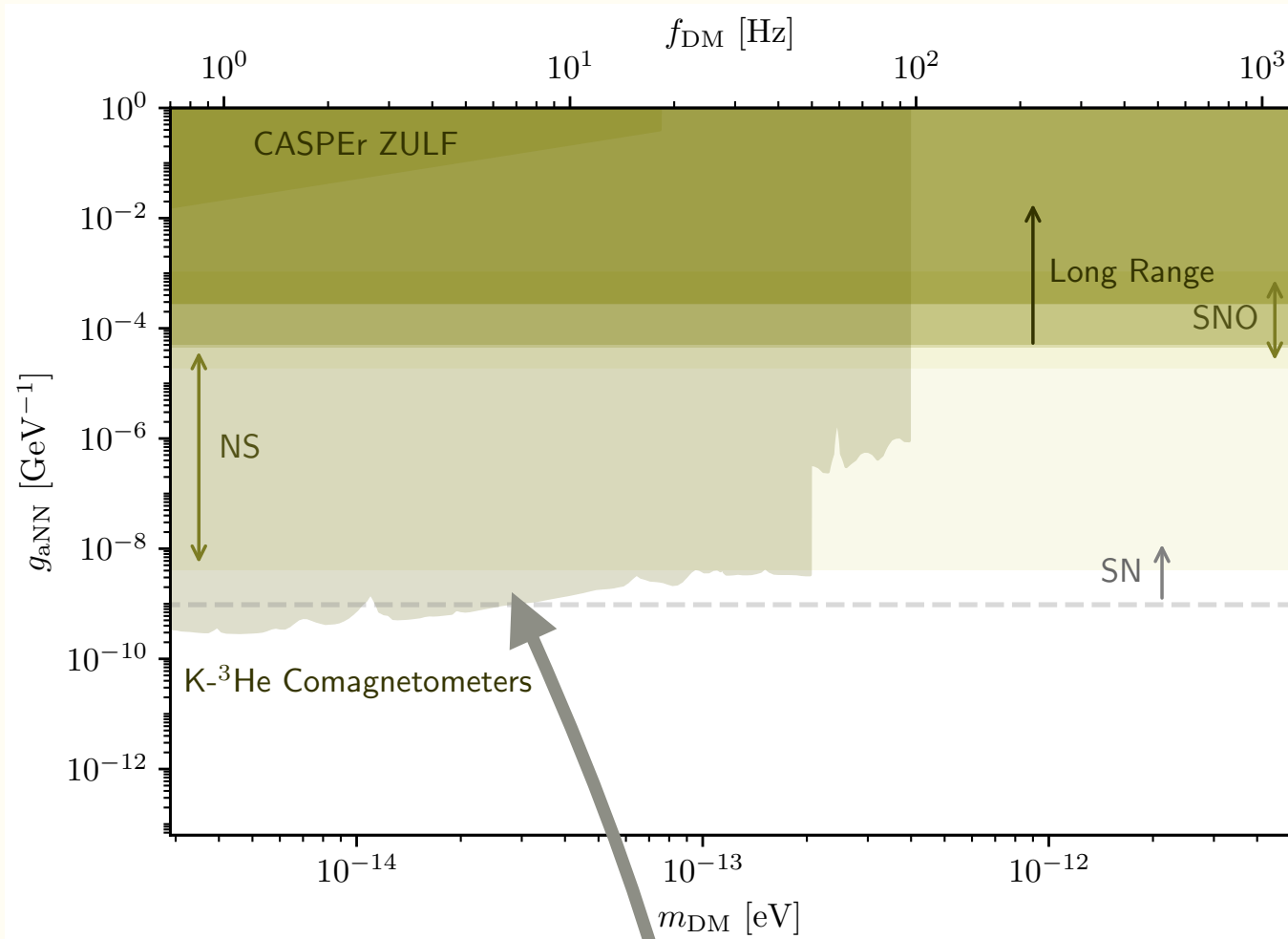


## ALP-Proton

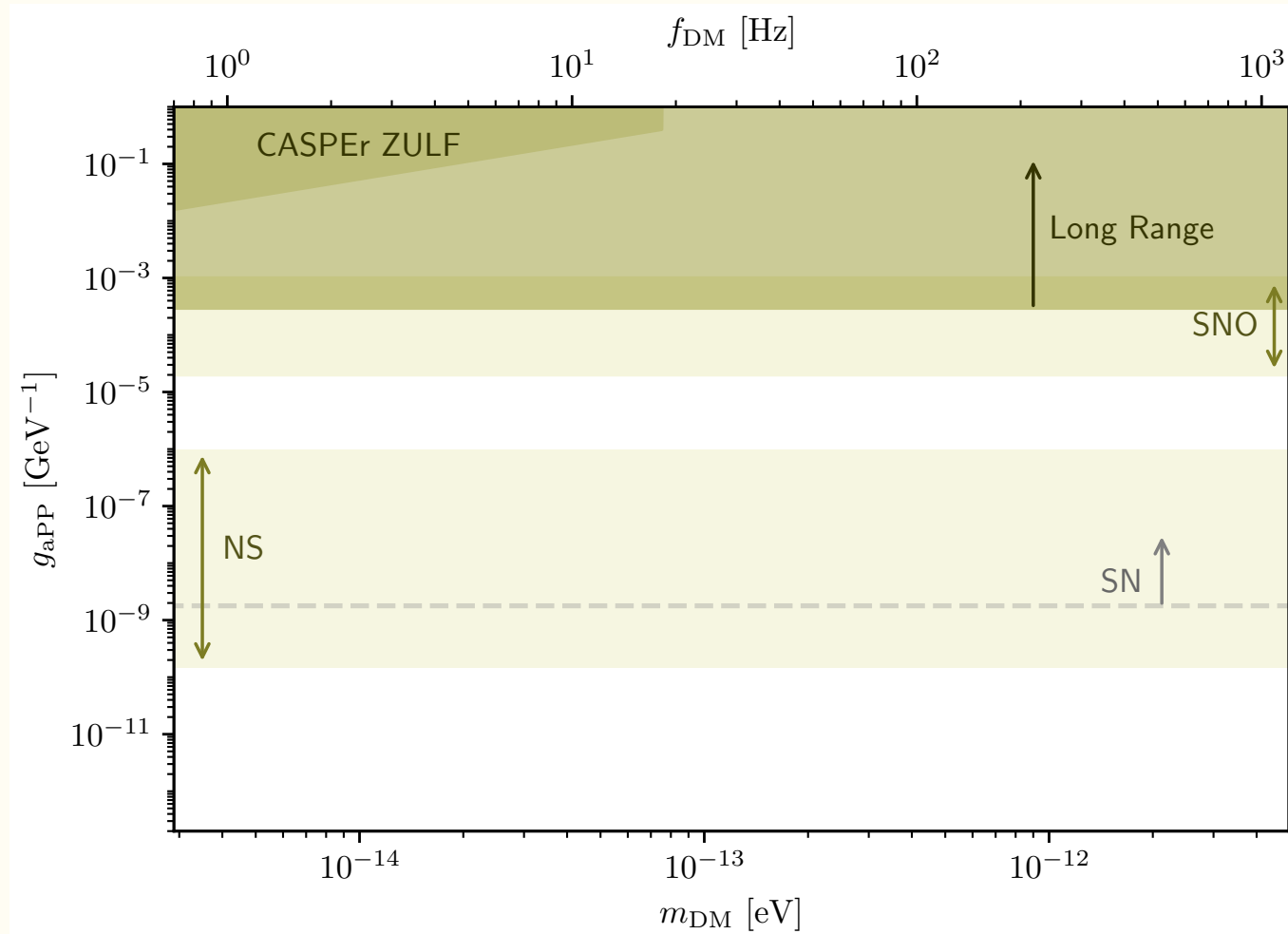


# Floquet Quantum Sensor: Results

## ALP-Neutron



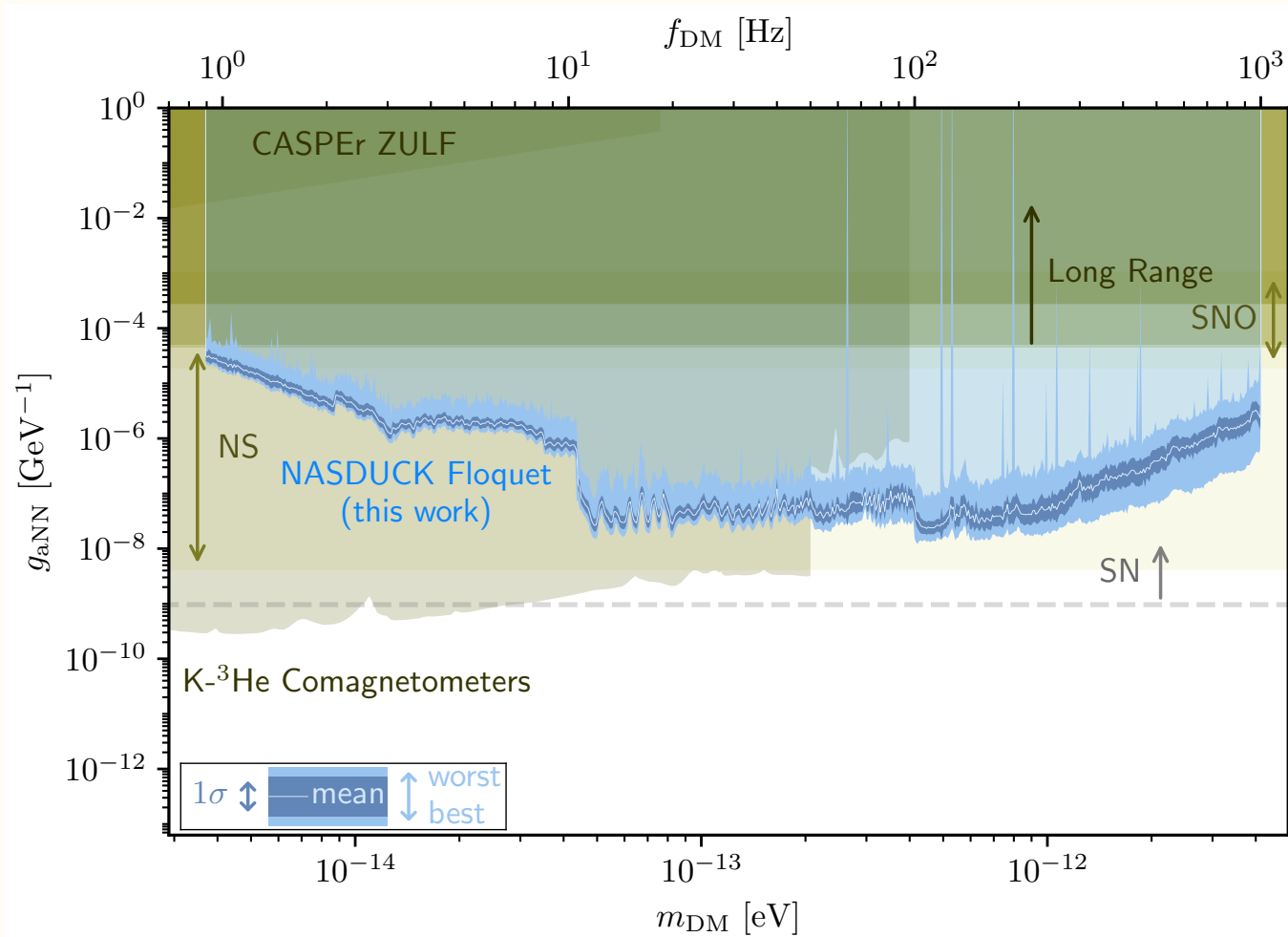
## ALP-Proton



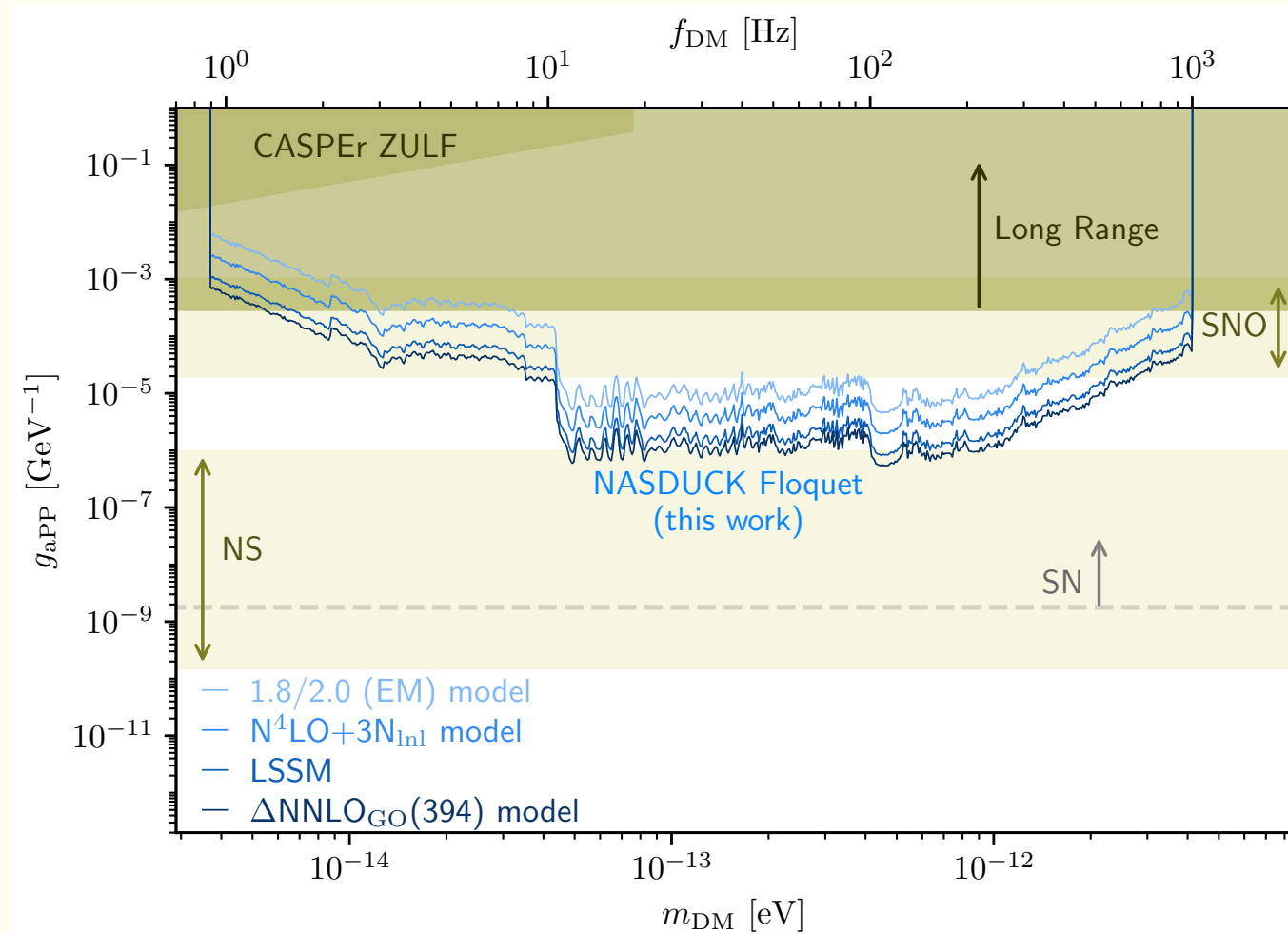
[Bloch, Kuflik, Hochberg, TV, 2019]

# Floquet Quantum Sensor: Results

## ALP-Neutron



## ALP-Proton



[NASDUCK Floquet, Science Advances 2022]

Limits are the result of 3000 measurements over a 5-month period



# The Many experiments of NASDUCK

1. NASDUCK Improved Floquet

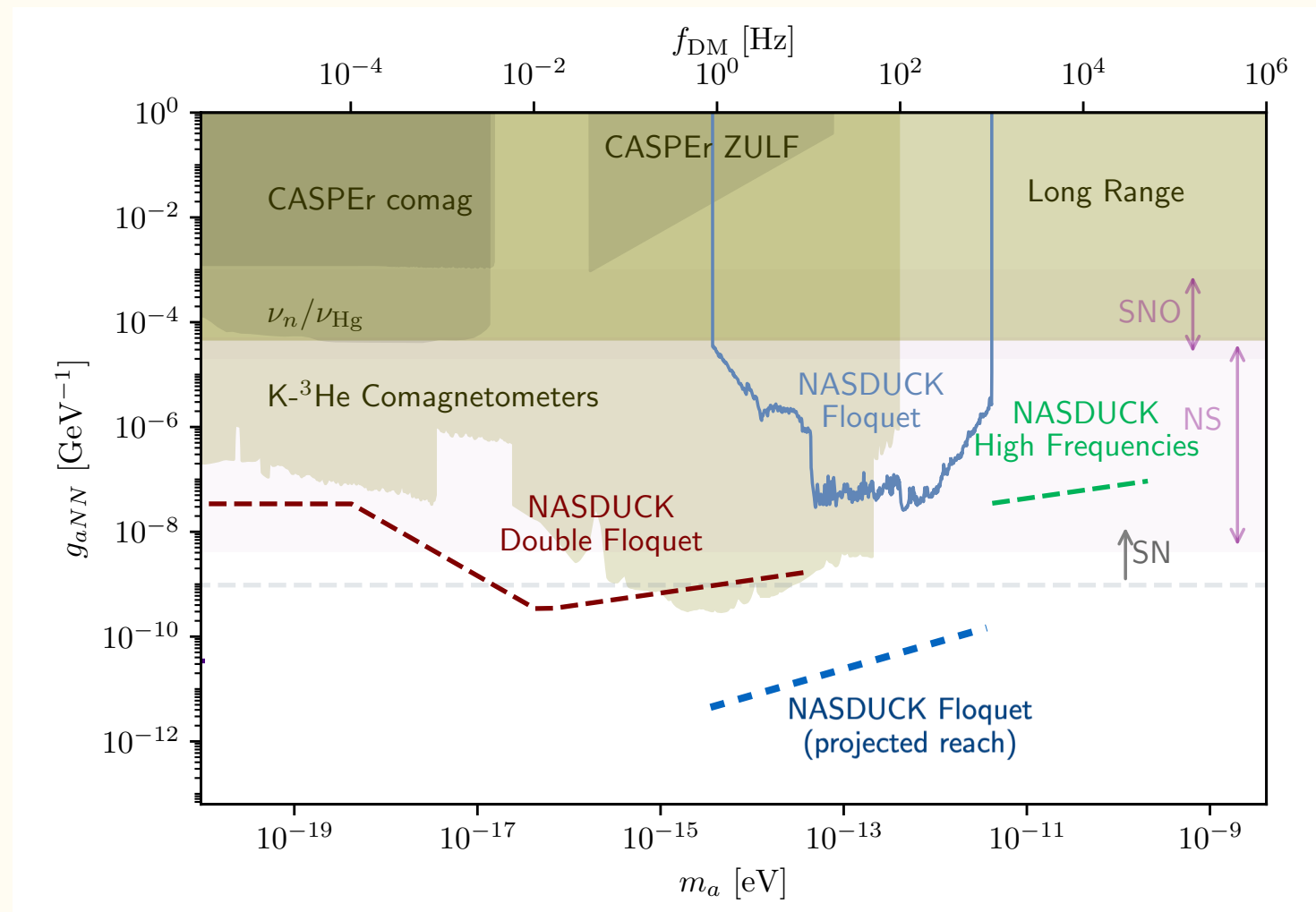
2. NASDUCK Double Floquet

3. NASDUCK High Frequency

4. NASDUCK Modulated

5. NASDUCK CoComag

6. ....



# Conclusions

## SENSEI

Leading Light-DM experiment

Probes: DM-electron scattering  
DM absorption  
Migdal Scattering

Upcoming: Constraints from SNOLAB & MINOS  
First modulation analysis

## NASDUCK

Leading Ultralight DM experiment

Upcoming: Many new co-magnetometer  
experiments probing a wide range  
of masses

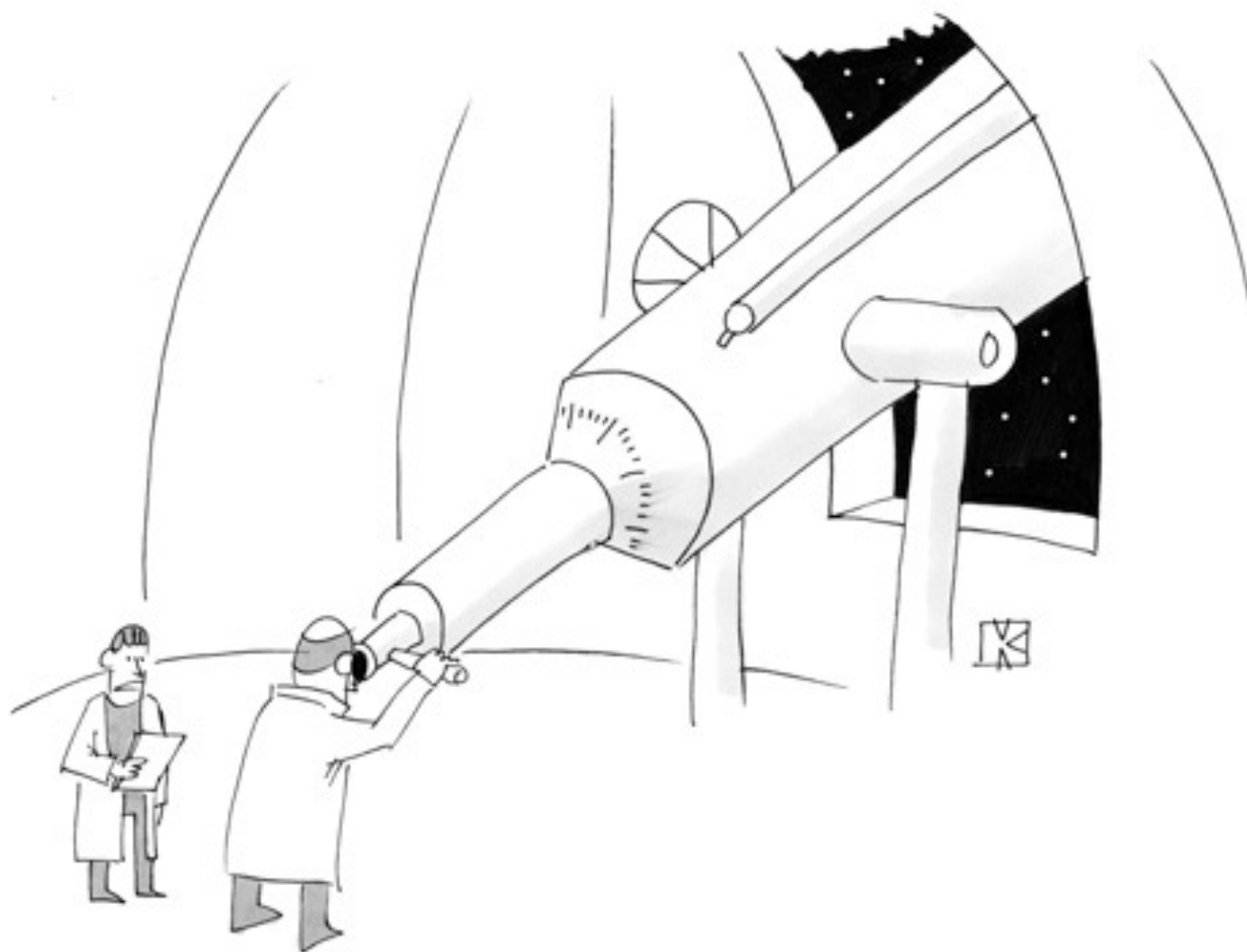
Many new results coming up soon!!



Far too many mysteries to solve.  
Can't stop now!

To be continued...

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*“That isn't dark matter, sir—you just forgot to take off the lens cap.”*



Israeli search for dark matter...

