

# Collision system size dependence of light (anti-)nuclei and (anti-)hypertriton production in high energy nuclear collisions

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on behalf of

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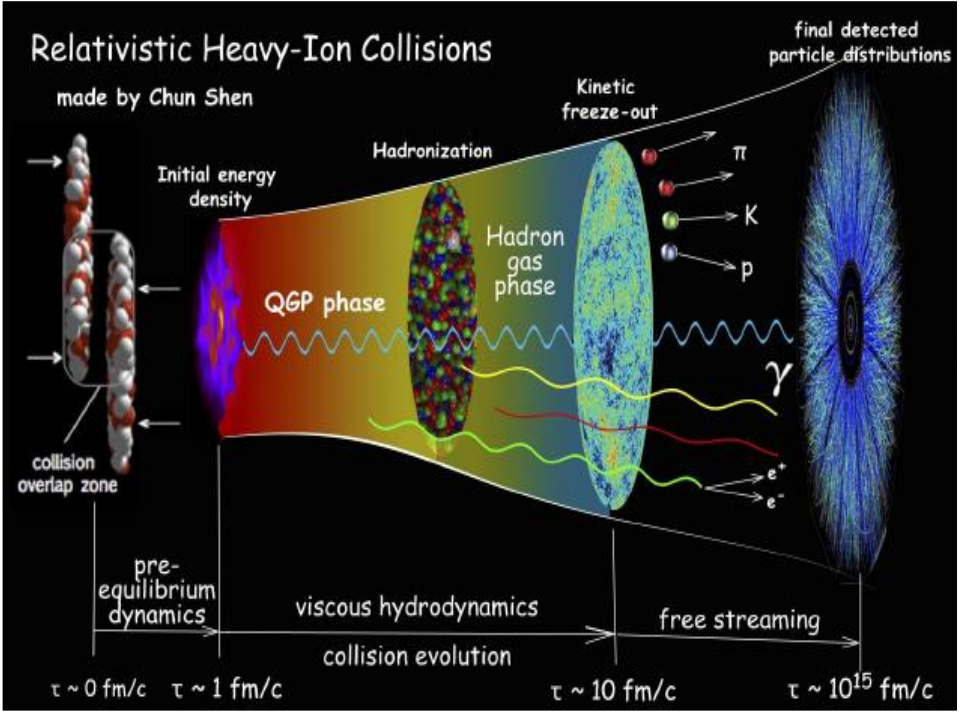
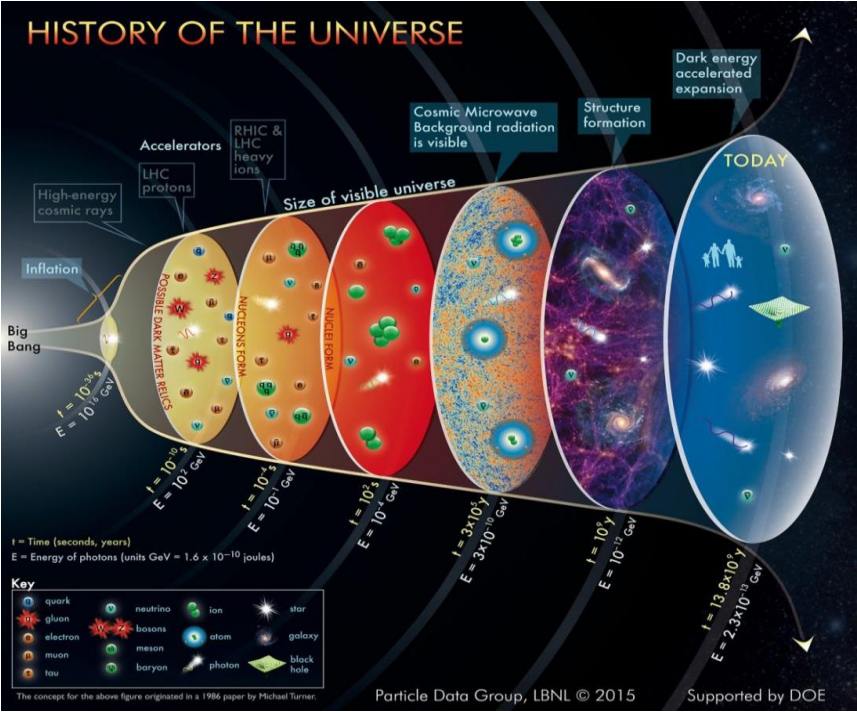
# Outline

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- Introduction
- PACIAE model and DCPC model
- Results on (anti-)nuclei and (anti-)hypertriton production
- Summary and Outlook

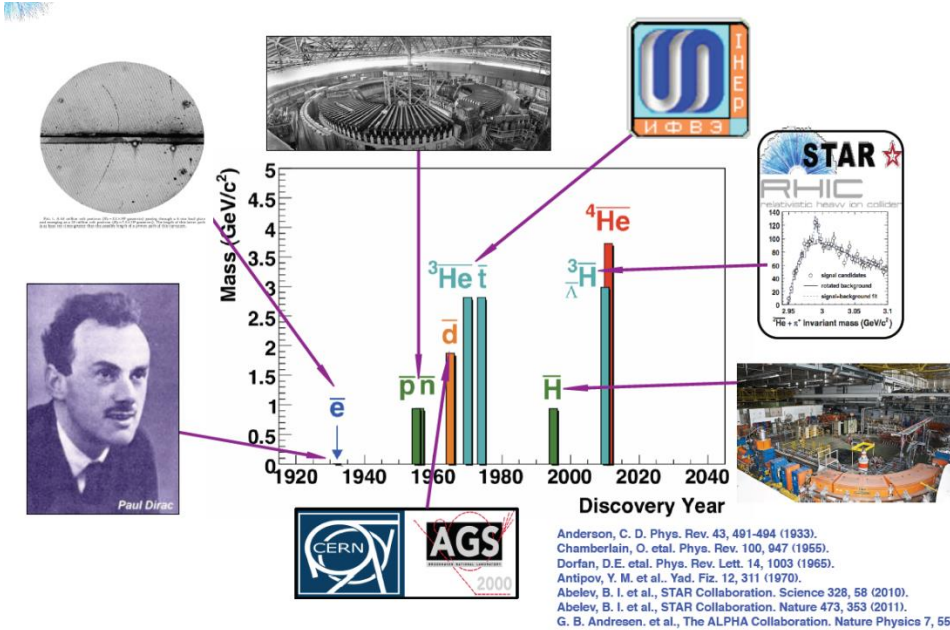
# Big Bang and Little Bang

High-energy heavy-ion collisions (the **Little Bang**) at RHIC & LHC can create a circumstance similar to that of the Universe microseconds after the **Big Bang**.



# Antimatter factories

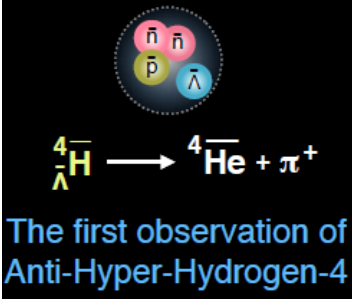
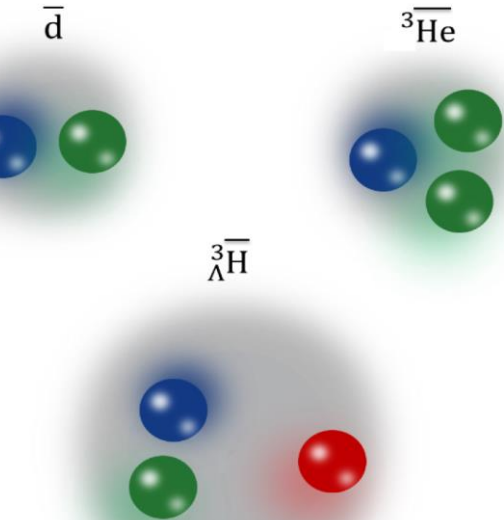
High-energy heavy-ion collisions provide an excellent chance for the discovery and study of **light antinuclei** and **antihypernuclei**.



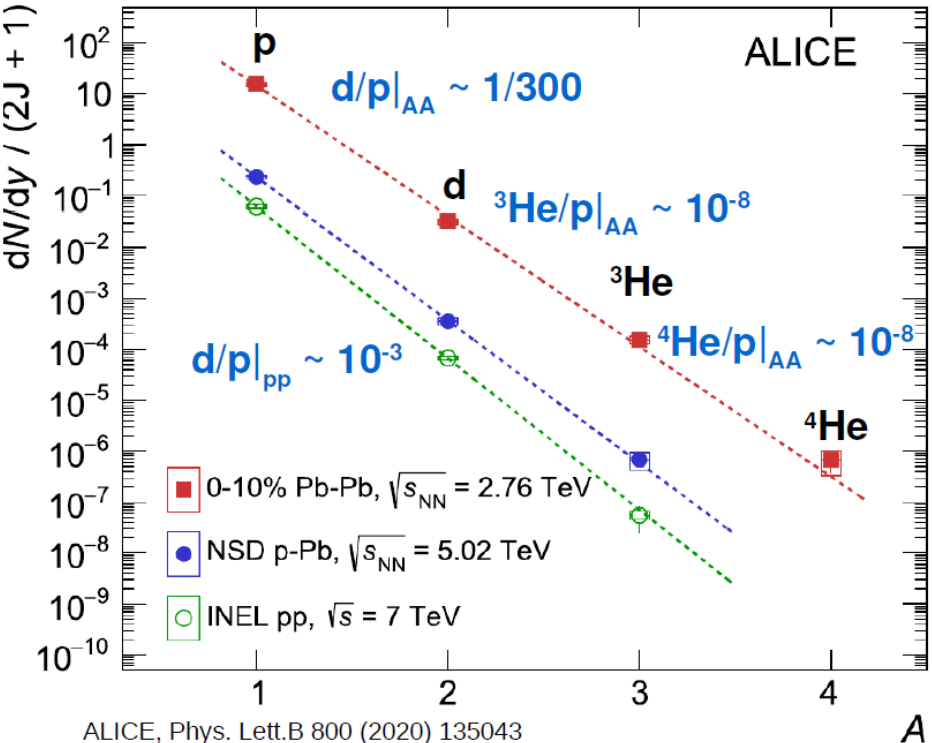
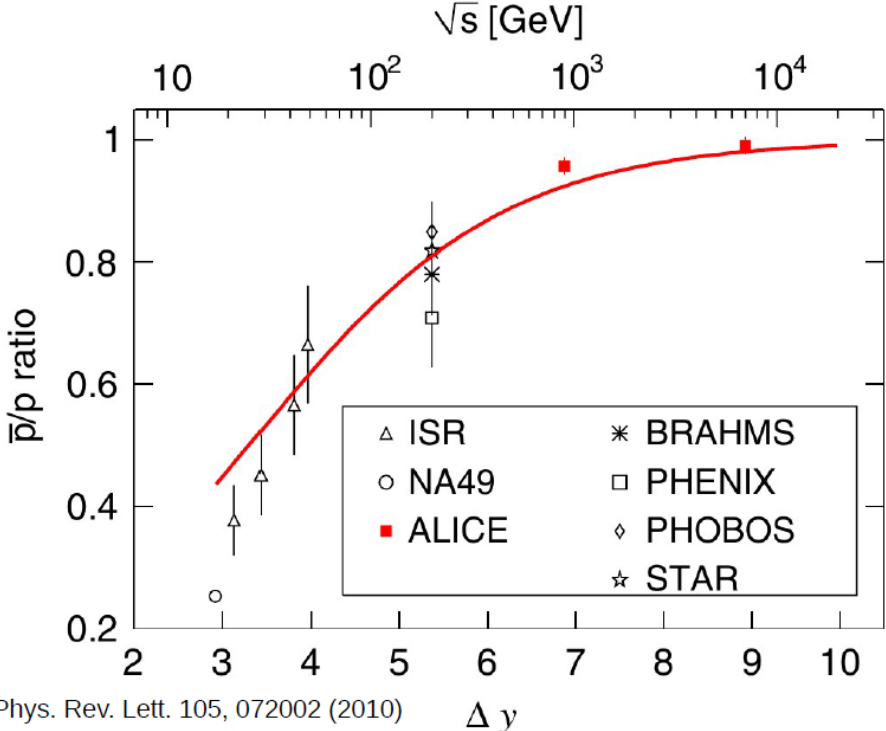
*Phys. Rep. 760 (2018) 1*

The first observation of Anti-Hyper-Hydrogen-4 by STAR

*Quark Matter 2022*



# Research Status of Light (Anti-)cluster



Antimatter-to-matter ratio at LHC  $\sim 1$  independently on the collision system

Production rates strongly depend on the mass number and collision system

# Production Mechanisms of Light Cluster

Their detailed production mechanism is, however, **not fully understood**.

*NPA 987 (2019) 144*

**Statistical thermal model:** *Nature 561 (7723) (2018) 321; PLB 809 (2020) 135746*

- Thermodynamically equilibrium system;
- Chemical freeze-out temperature  $T_{ch}$  and baryo-chemical potential  $\mu_B$ .

$$N_A \approx g_A V (2\pi m_A T)^{3/2} e^{(A\mu_B - m_A)/T}$$

**Transport model:** *PRC 99 (2019) 044907; arXiv:2106.12742*

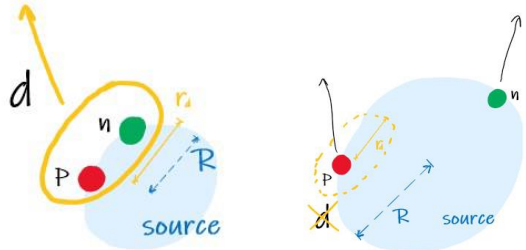
- Light cluster produced on hyper-surface, then break up and re-form during the chemical freeze-out and the kinetic freeze-out.

$$\pi NN \Leftrightarrow \pi d, NNN \Leftrightarrow Nd, NN \Leftrightarrow \pi d.$$

**Coalescence model:** *PLB 808 (2020) 135668; PRC 102 (2020) 044912*

- The process occurs at kinetic freeze-out and instantaneously;
- Proximity of constituent nucleons in momentum and(or) coordinate space.

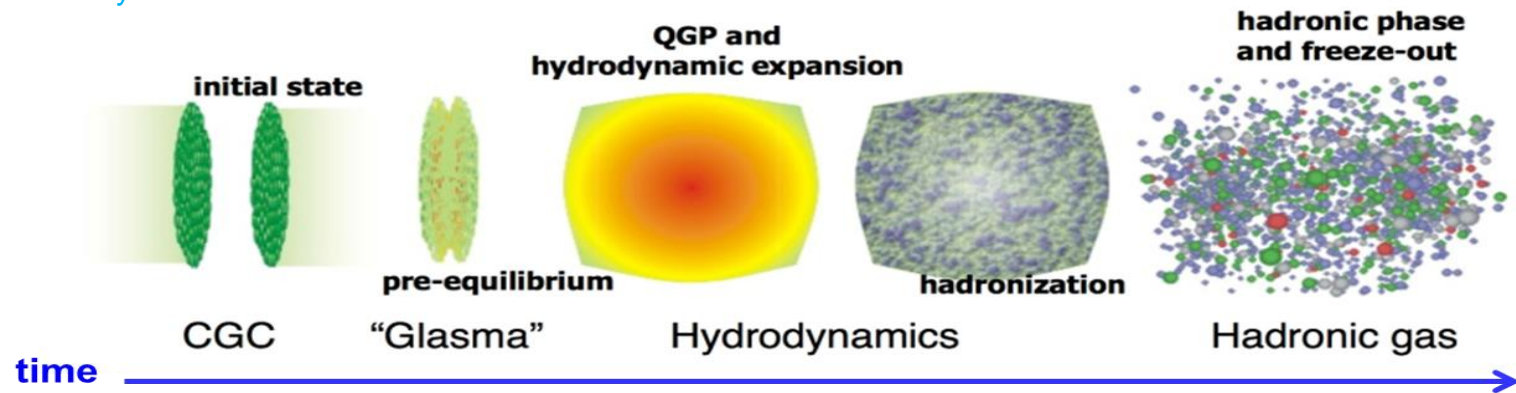
$$E_A \frac{dN_A}{d^3p_A} = B_A (E_p \frac{dN_p}{d^3p_p})^z (E_n \frac{dN_n}{d^3p_n})^N$$



# PACIAE model

Parton and hadron cascade model is based on **PYTHIA 6.4 model**, is a Monte-Carlo event generator in high energy collisions.

made by S. A. Bass



1. The parton initial state is obtained.
2. The parton rescattering is proceeded until partonic freeze-out.
3. The hadronization is followed.
4. The hadronic rescattering is proceeded until hadronic freeze-out.

*Comput. Phys. Commun.* 183 (2012) 333; 184(2013)1476; 193(2015)89; 224(2018)417; 274 (2022) 108289

# DCPC model

**Dynamically constrained phase-space coalescence model**, is developed to estimate light nuclei production in high energy collisions.

As the uncertainty principle

$$\Delta \vec{q} \Delta \vec{p} \approx h^3$$

we can estimate the yield of a single particle by

$$Y_1 = \int_{H \leq E} \frac{d\vec{q} d\vec{p}}{h^3}.$$

Similarly, for **the yield of N particles cluster**

$$Y_N = \int \dots \int_{H \leq E} \frac{d\vec{q}_1 d\vec{p}_1 \dots d\vec{q}_N d\vec{p}_N}{h^{3N}}.$$

Equation must satisfy these constraint conditions:

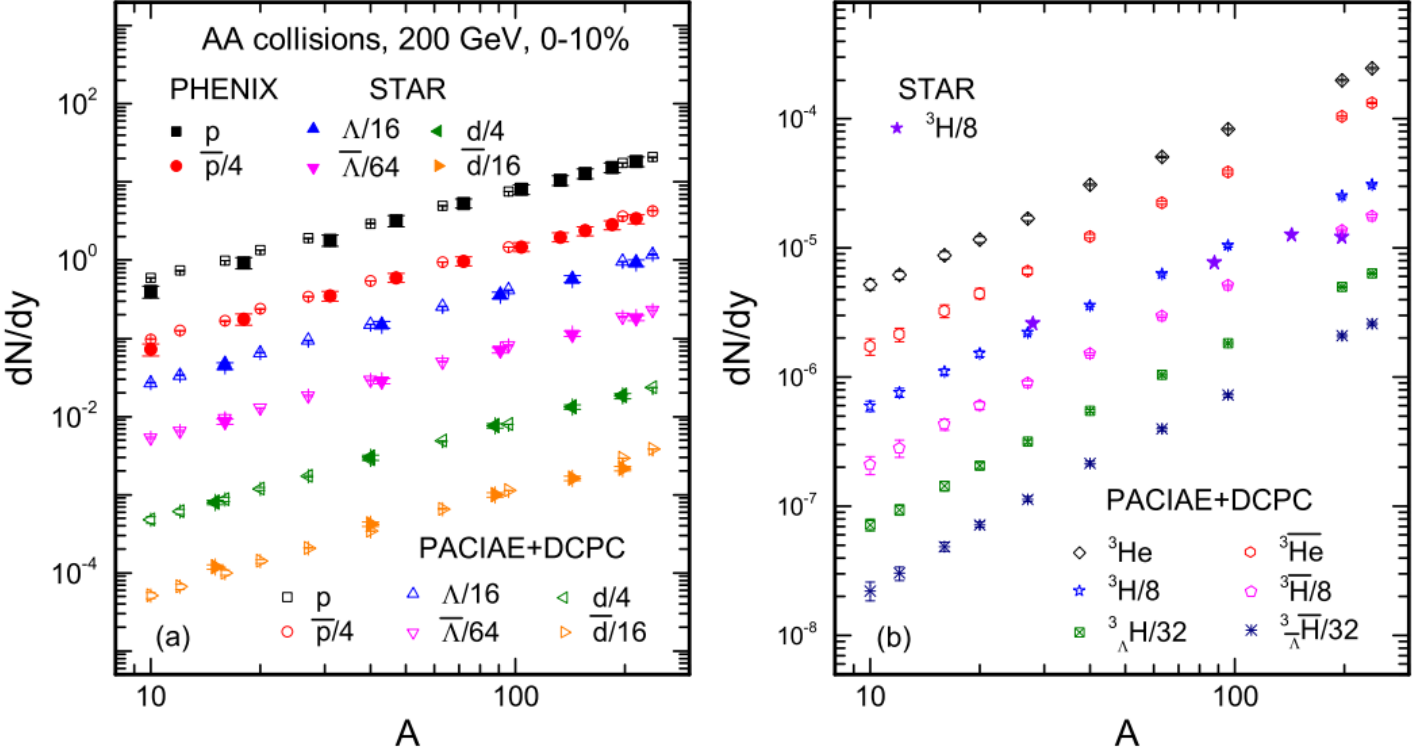
$$\left\{ \begin{array}{l} m_0 \leq m_{inv} \leq m_0 + \Delta m; \\ q_{ij} \leq D_0, (i \neq j; i, j = 1, 2 \dots N); \\ m_{inv} = \left[ \left( \sum_{i=1}^N E_i \right)^2 - \left( \sum_{i=1}^N \vec{p}_i \right)^2 \right]^{1/2}. \end{array} \right.$$

PRC 85 (2012) 024907; 99(2019)034904; PRC 103 (2021) 014906



# Yields of Light Cluster

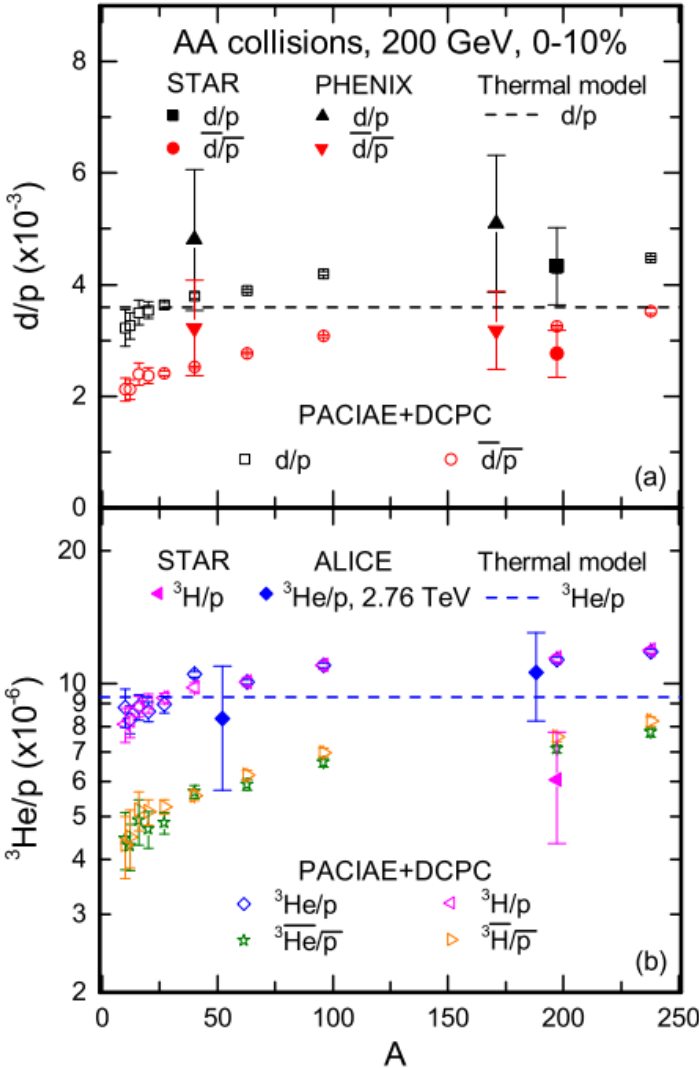
Nuclear system size scans: **B+B**(Boron), **C+C**, **O+O**, **Ne+Ne**, **Al+Al**, **Ca+Ca**, **Cu+Cu**, **Ru+Ru**, **Au+Au**, **U+U**(Uranium) collisions at RHIC energy.



The yield for each particle species appears to increase **linearly** with atomic mass number  $A$ .

Z.L. She et al., Eur. Phys. J. A 58, 15 (2022).

# Yield Ratios of Light Nuclei



Three-body nuclei is more sensitive than two-body nuclei to the spatial distribution of nucleons in the emission source.

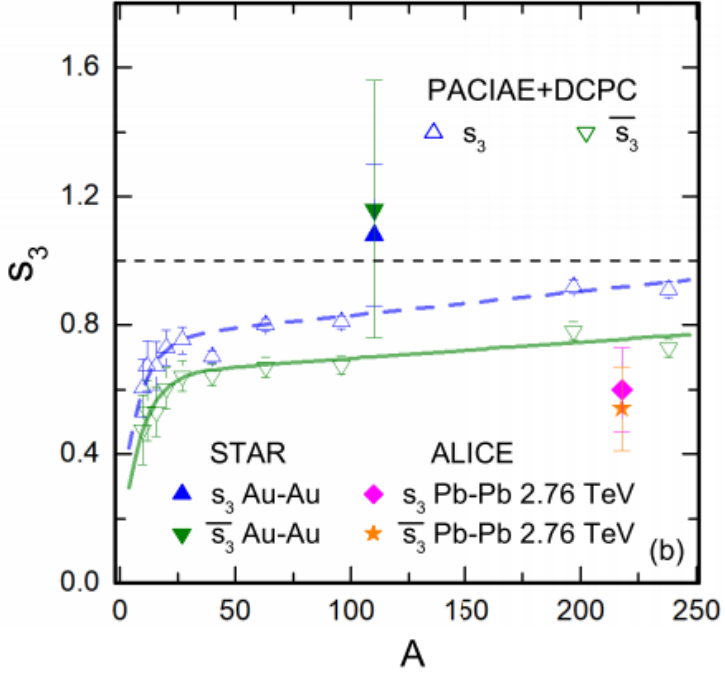
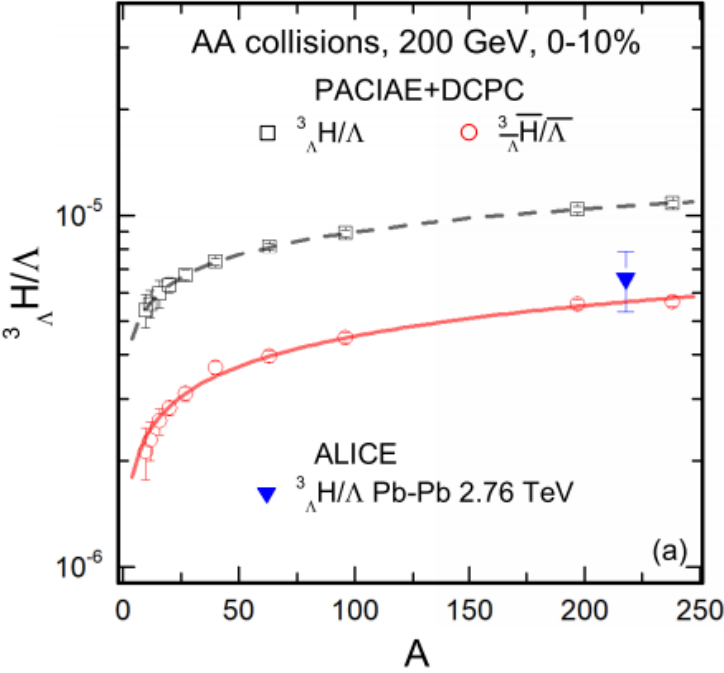
The significant difference between nuclei and antipartners are due to non-zero baryo-chemical potential at RHIC energy.

A. Andronic et al, Phys. Lett. B 697, 203 (2011)

Z.L. She et al., Eur. Phys. J. A 58, 15 (2022).

# Yield Ratios of Hypertriton

$$s_3 = (\Lambda^3 \text{H} \times p) / (\Lambda^3 \text{He} \times \Lambda)$$



The **suppression** of (anti-)hypertriton is more significant than three-body (anti-)nuclei.

The non-smooth A-dependence may be mainly related to **a size effect of source**.

Z.L. She et al., Eur. Phys. J. A 58, 15 (2022).

# Summary& Outlook

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The Collision system size dependence of light (anti-)nuclei and (anti-)hypertriton production is calculated in high-energy nuclear collisions at RHIC energy, based on PACIAE + DCPC models.

- 1, The yield of each particle species appears to increase **linearly** with atomic mass number  $A$ .
- 2, **Three-body** nuclei is more sensitive than **two-body** nuclei to the spatial distribution of nucleons in the emission source.
- 3, The non-smooth  $A$ -dependence of (anti)hypercluster-to-(anti)hyperon may be mainly related to **a size effect**.
- 4, The present study can provide a reference for a upcoming collision system scan program at RHIC.

**Thank you for your attention!**

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