

PAUL SCHERRER INSTITUT

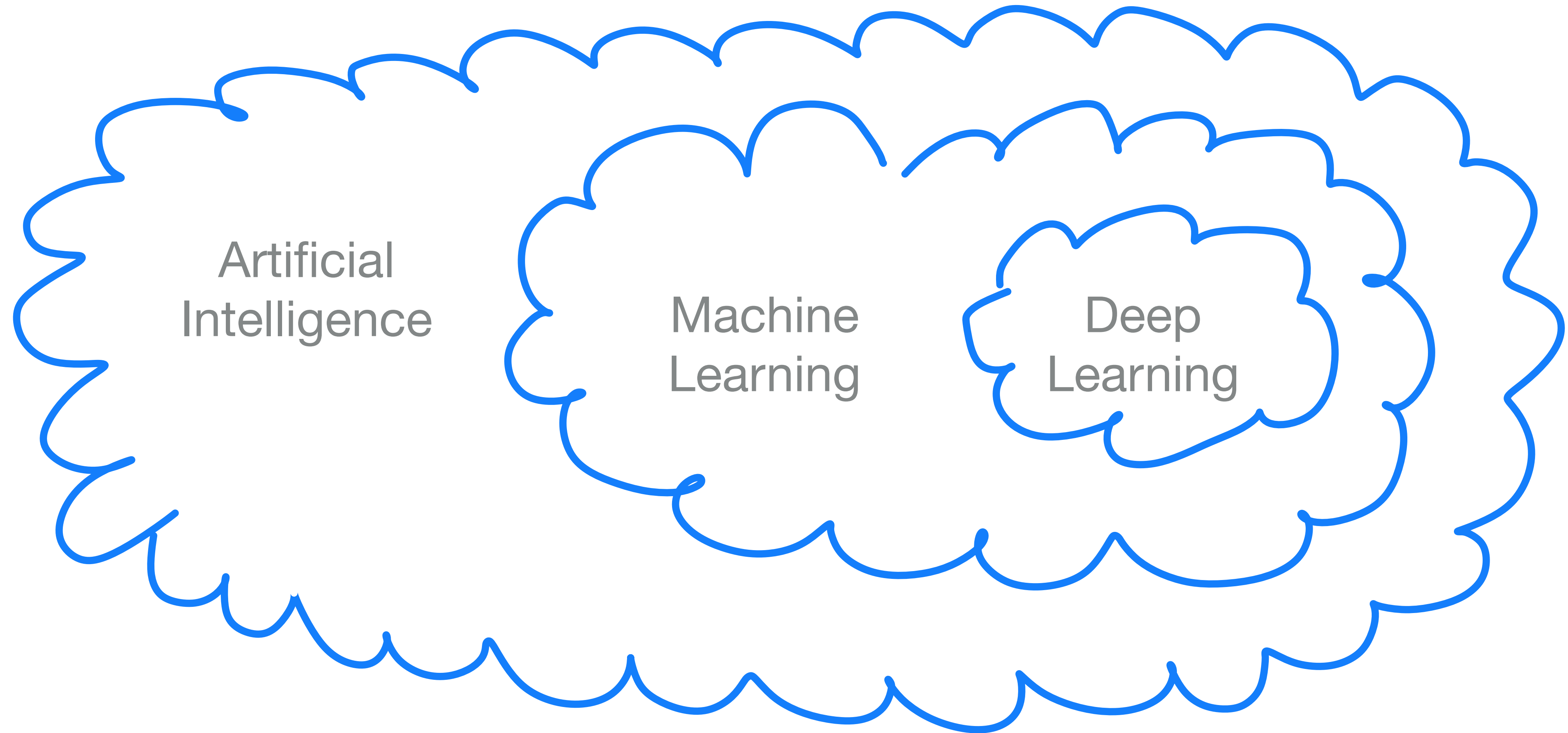


Rasmus Ischebeck

MACHINE LEARNING IN PARTICLE ACCELERATORS

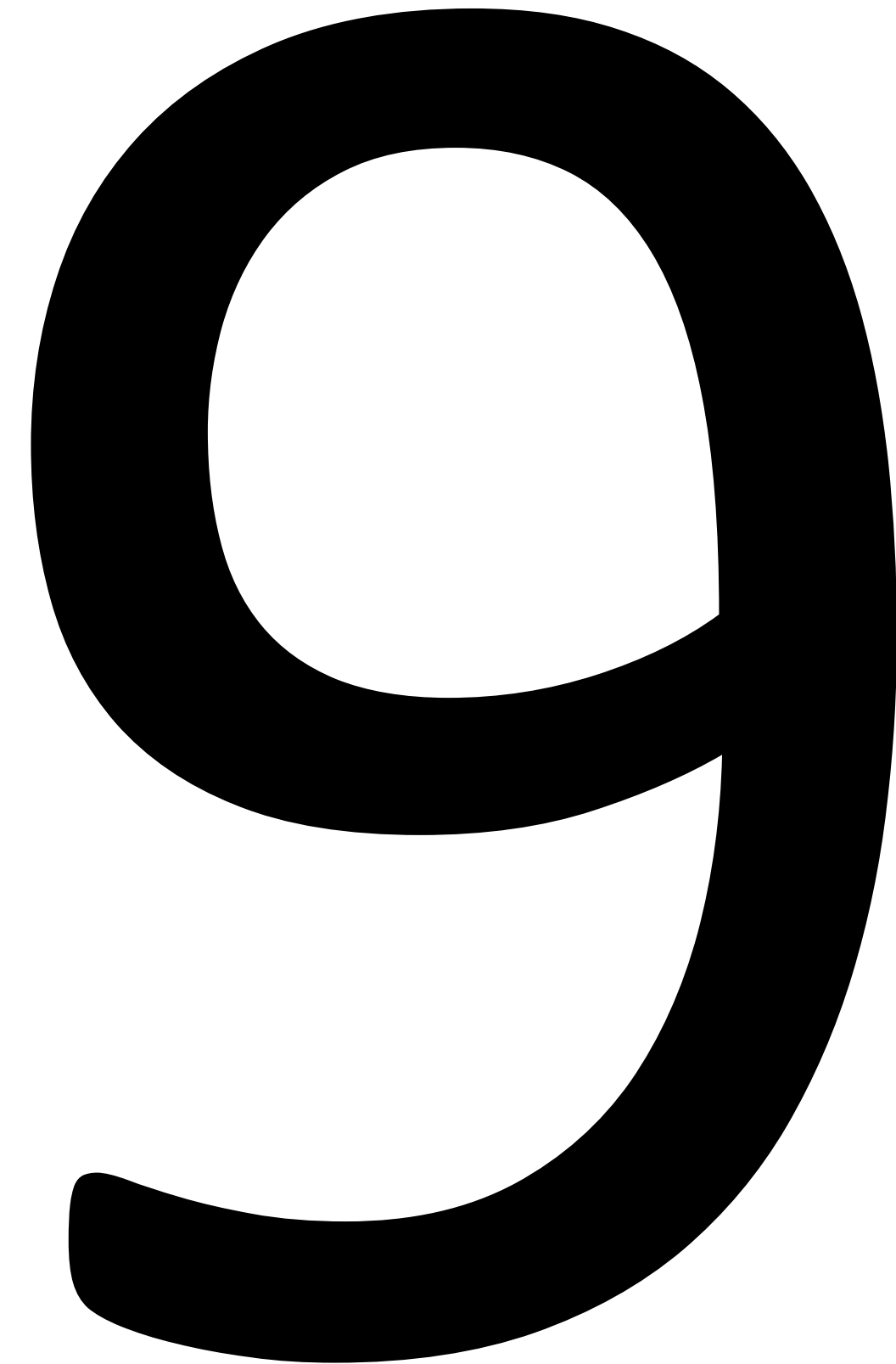
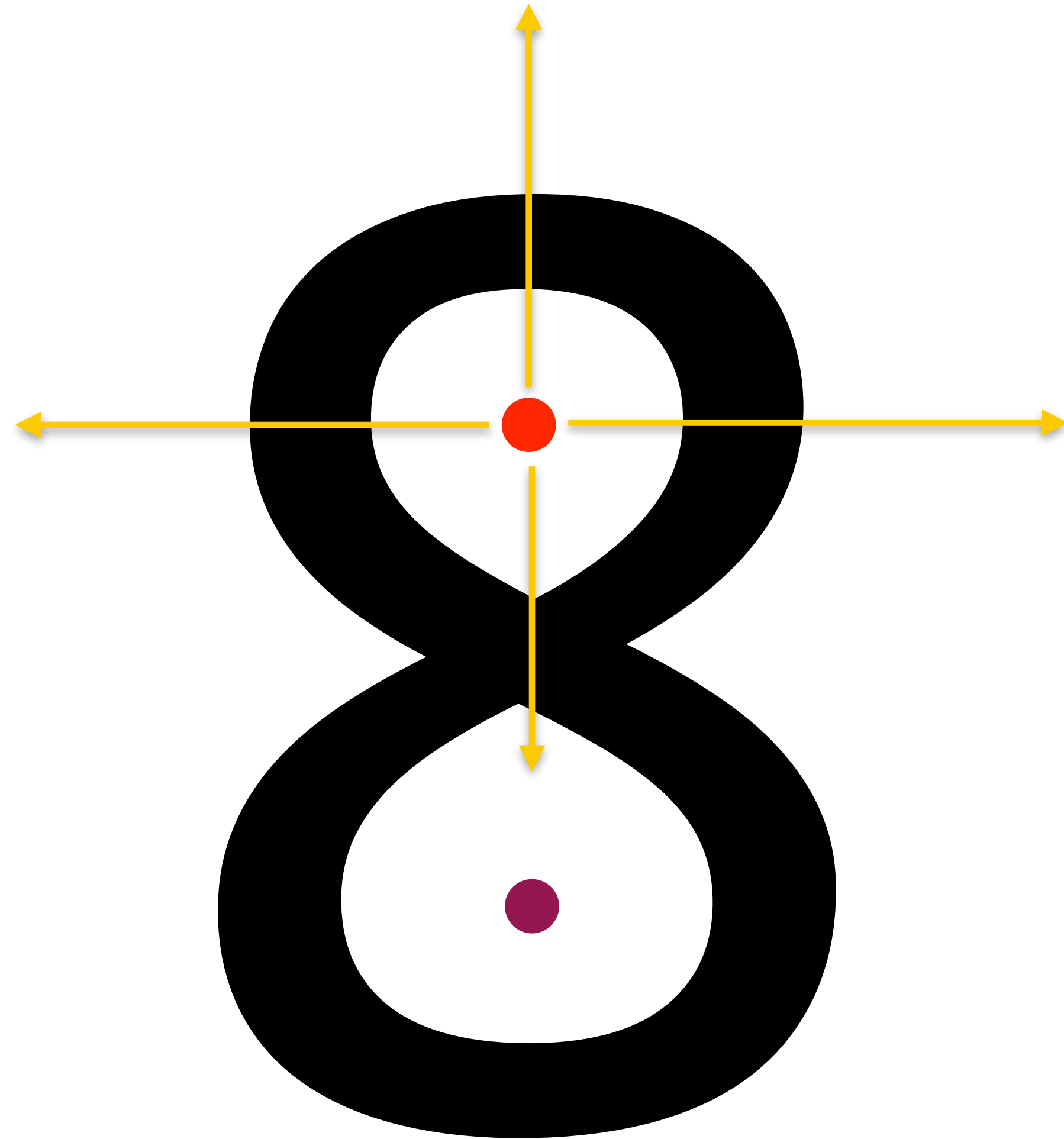
MACHINE LEARNING LANDSCAPE

- ▶ Before we start, a bit of context



MACHINE LEARNING LANDSCAPE

- ▶ What is an “eight”?



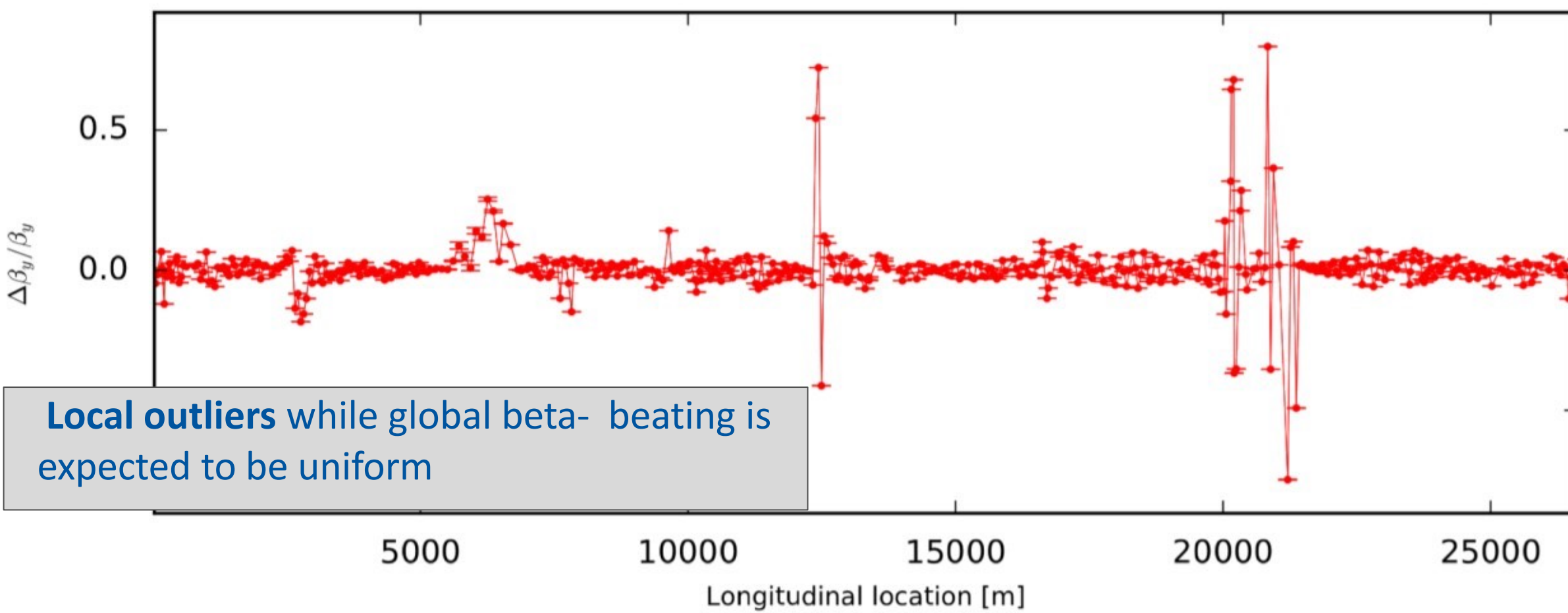
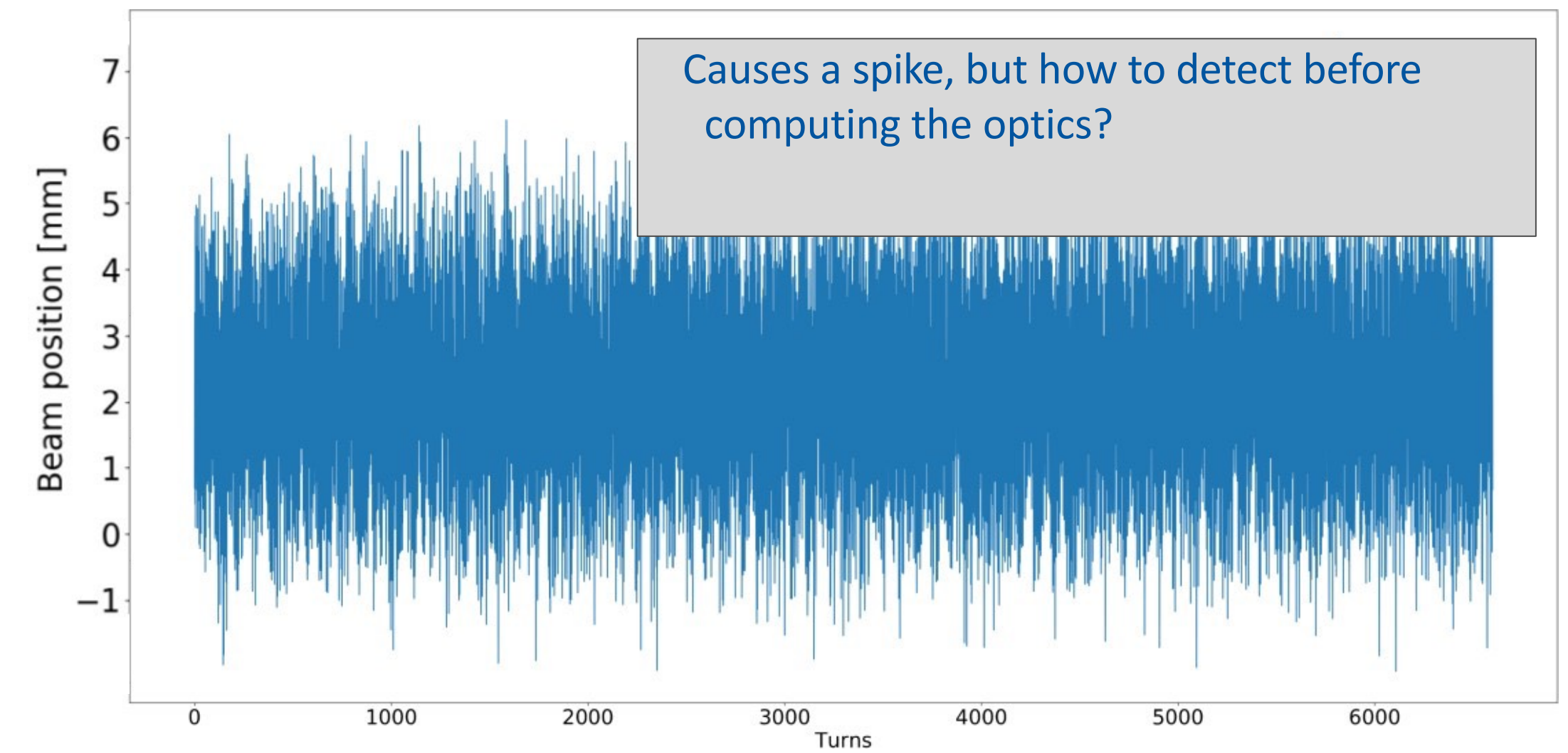
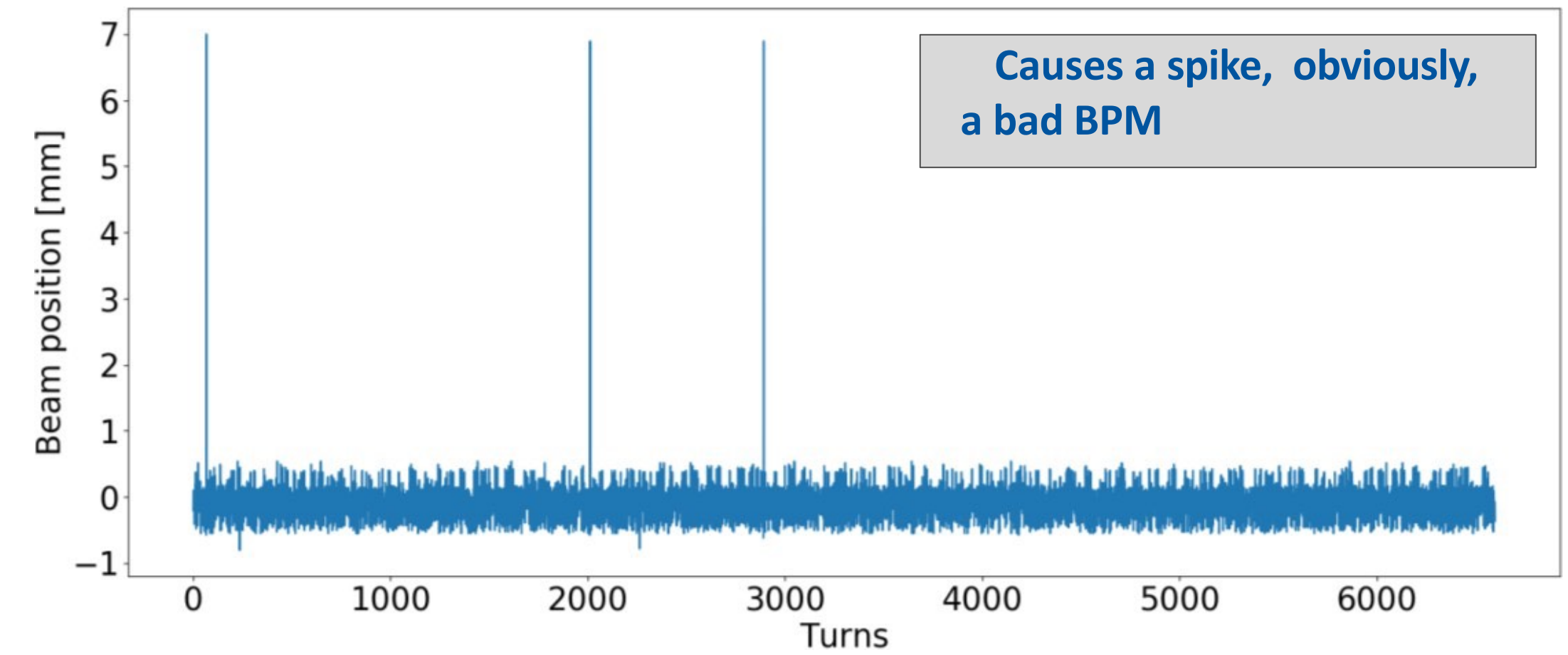
MACHINE LEARNING LANDSCAPE

1 2 3 4 5 6 7 8 9 0

1 2 3 4 5 6 7 8 9 0

APPLICATIONS TO ACCELERATORS

- ▶ What is a “faulty BPM”?



“AN OBSERVATION WHICH DEVIATES SO MUCH FROM OTHER OBSERVATIONS AS TO AROUSE SUSPICIONS THAT IT WAS GENERATED BY A DIFFERENT MECHANISM.”

Stephen Hawking



Relevant ML concepts and definitions

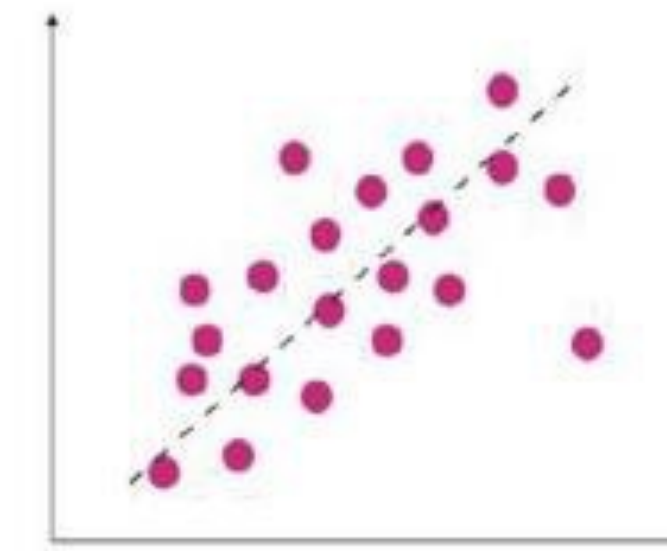
Supervised Learning

- **Input/output pairs** available
- Learn a mapping function, **generalizing for all provided data**
- Predict from **unseen data**

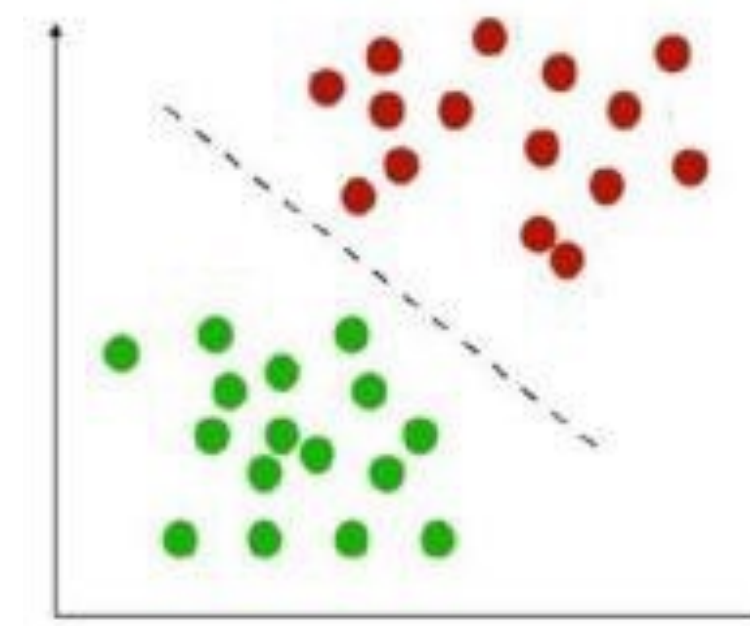
Unsupervised Learning

- **Only input** data is given
- Discover structures and patterns

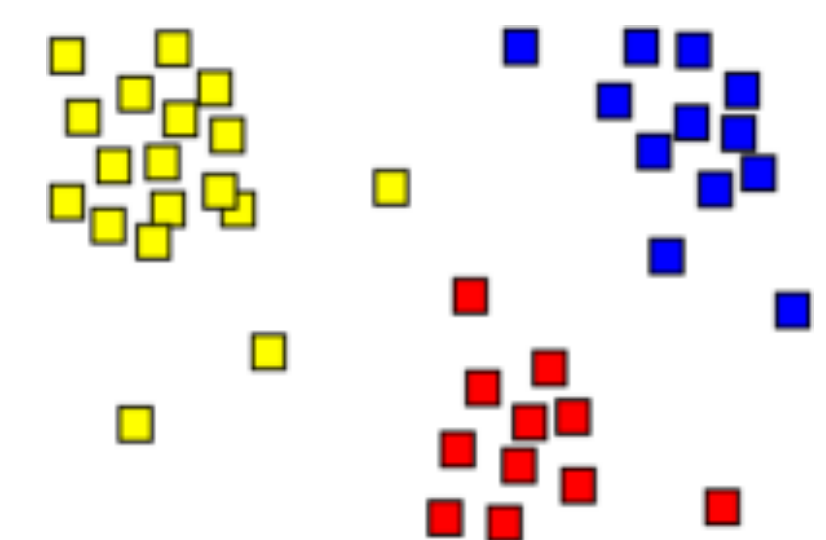
Regression



Classification



Clustering



MACHINE LEARNING OUTSIDE THE ACCELERATOR WORLD

► Image recognition



MACHINE LEARNING OUTSIDE THE ACCELERATOR WORLD

- ▶ Social media



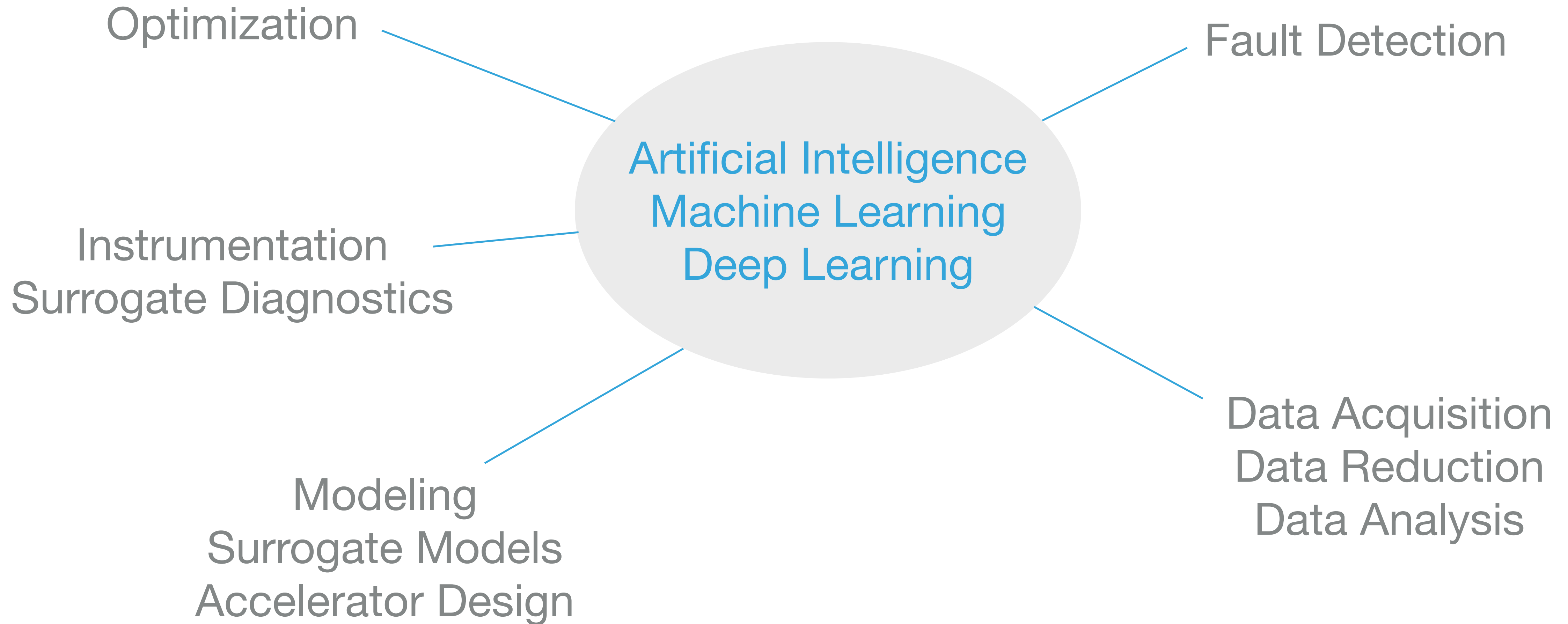
MACHINE LEARNING OUTSIDE THE ACCELERATOR WORLD

▶ Marketing



“The machine learning algorithm wants to know if we’d like a dozen wireless mice to feed the Python book we just bought.”

USE OF MACHINE LEARNING FOR ACCELERATORS



EXAMPLES OF APPLICATIONS OF AI/ML/DL

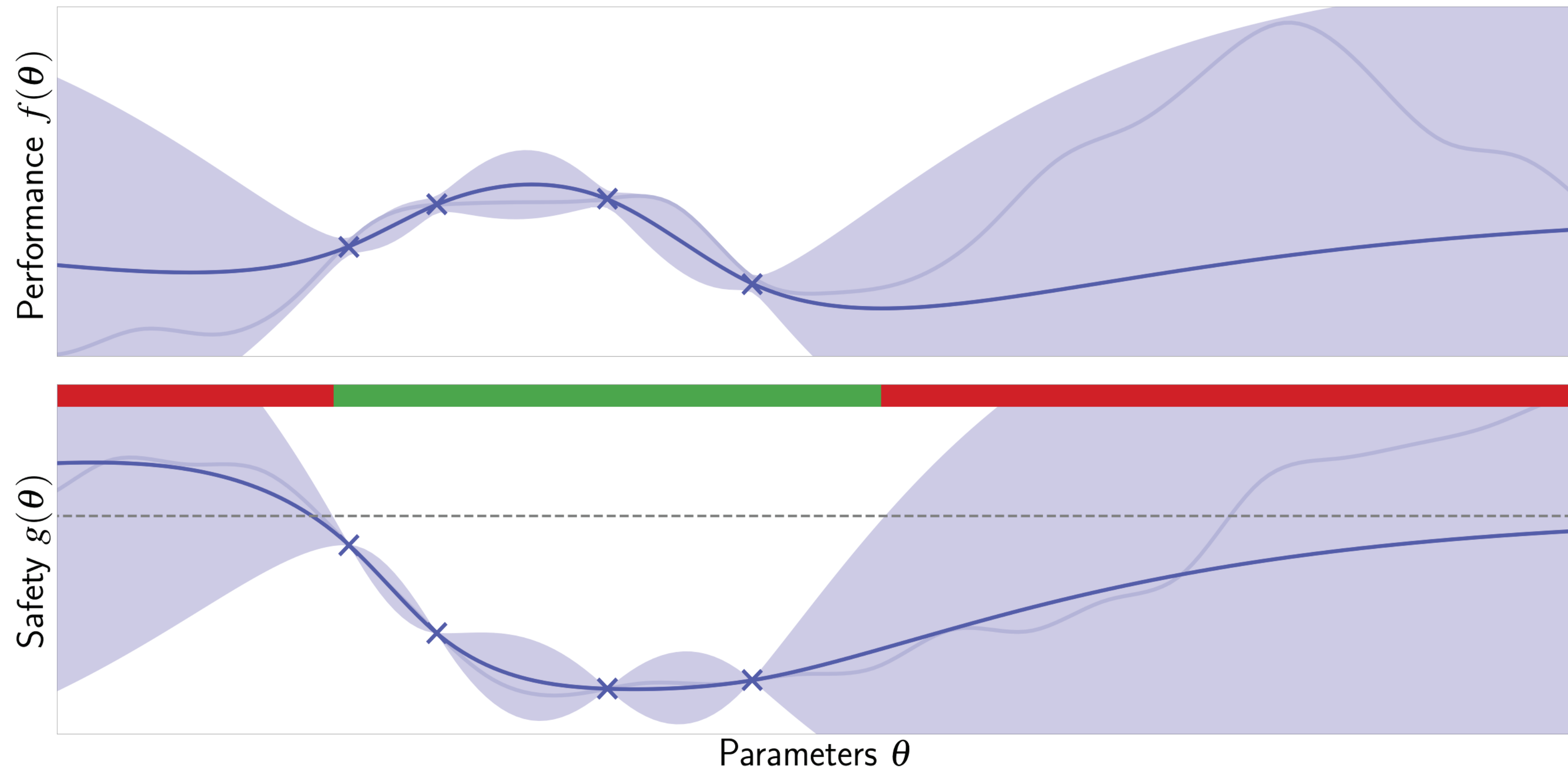
- ▶ Cases of problems that could be solved only with AI/ML/DL
 - ▶ ... ?
- ▶ Applications enabled by AI/ML/DL that took less effort than manual coding
 - ▶ Safe optimization of accelerators
 - ▶ Virtual diagnostics
 - ▶ Detection of faulty diagnostics
 - ▶ Use of ML for accelerator design
 - ▶ Use for data analysis

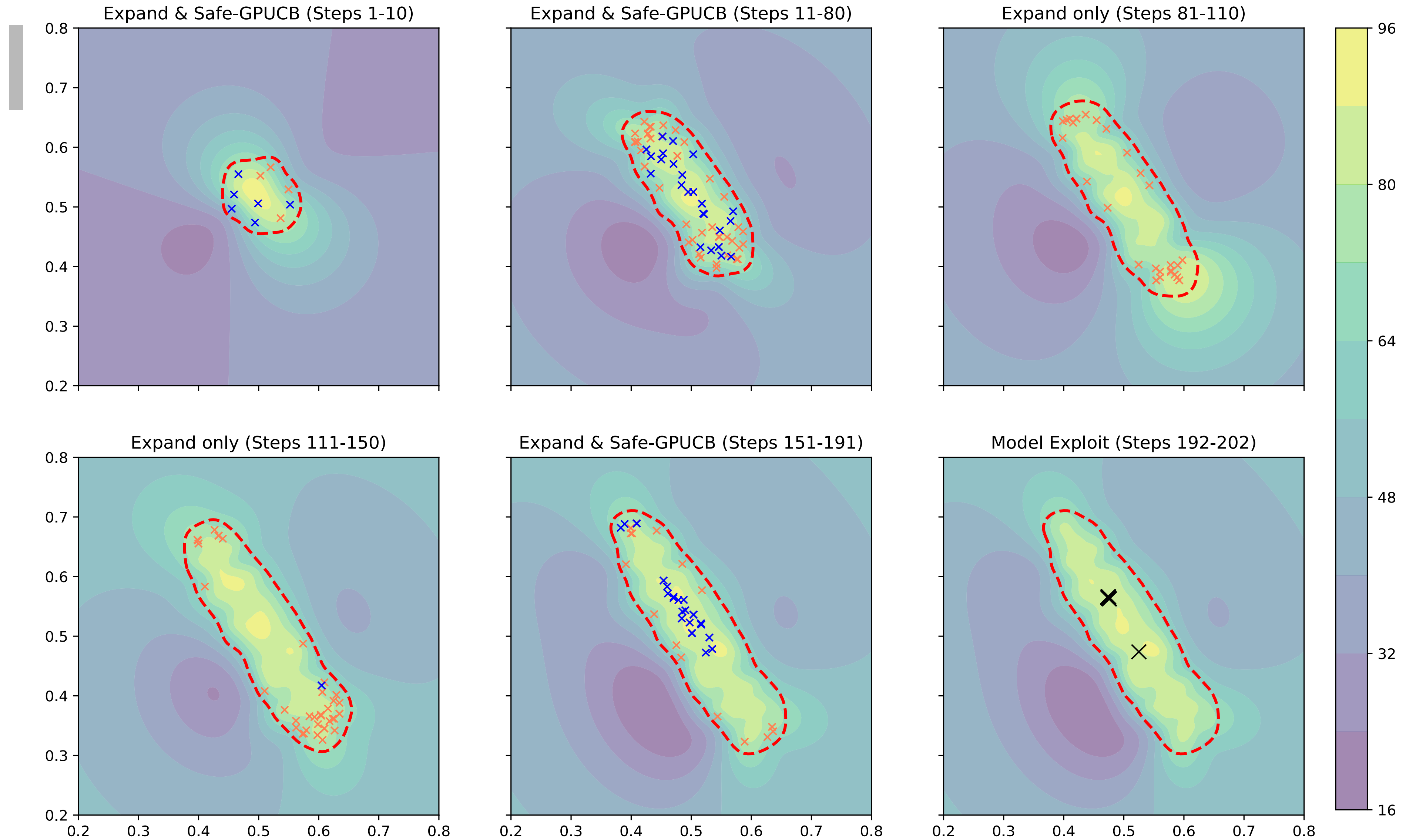


APPLICATIONS OF ML TO ACCELERATOR OPERATION

SAFE OPTIMIZATION OF ACCELERATOR PERFORMANCE

- ▶ Two examples from PSI:
 - ▶ SwissFEL: optimization of the pulse energy while keeping losses in the undulators low
 - ▶ HIPA: optimization of an accelerator that is limited by beam loss
- ▶ One example from Elettra
 - ▶ Optimization of the FEL by straightening the trajectory





From Linear Least Squares to Gaussian Processes

Least squares regression in a Hilbert space \mathcal{H} :

$$\hat{f} = \arg \min_{f \in \mathcal{H}} \sum_{t=1}^T (f(x_t) - y_t)^2 + \|f\|_{\mathcal{H}}^2$$

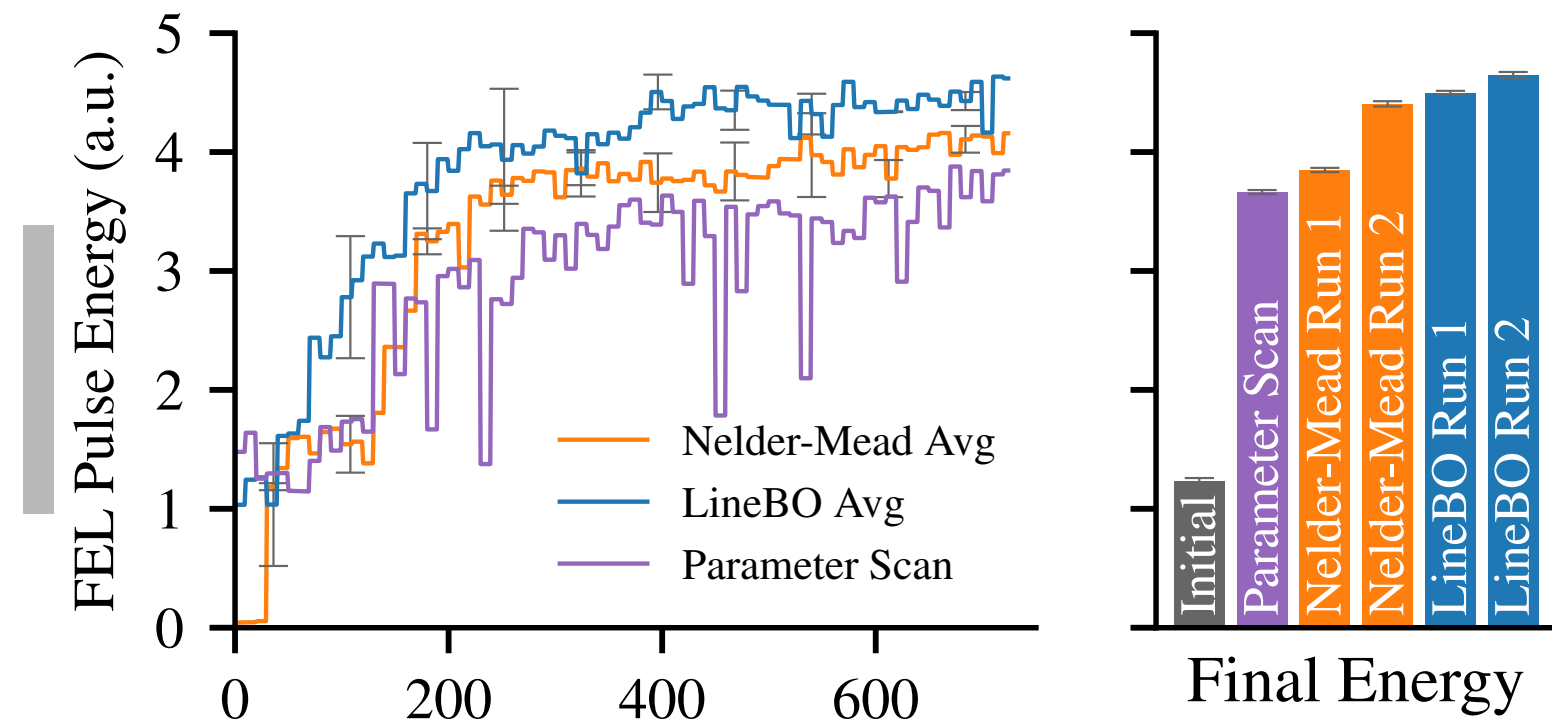
Closed form solution if \mathcal{H} is a *Reproducing Kernel Hilbert Space*!

Defined by a kernel $k : \mathcal{X} \times \mathcal{X} \rightarrow \mathbb{R}$.

Example: **RBF Kernel** $k(x, y) = \exp\left(-\frac{\|x-y\|^2}{2\sigma^2}\right)$

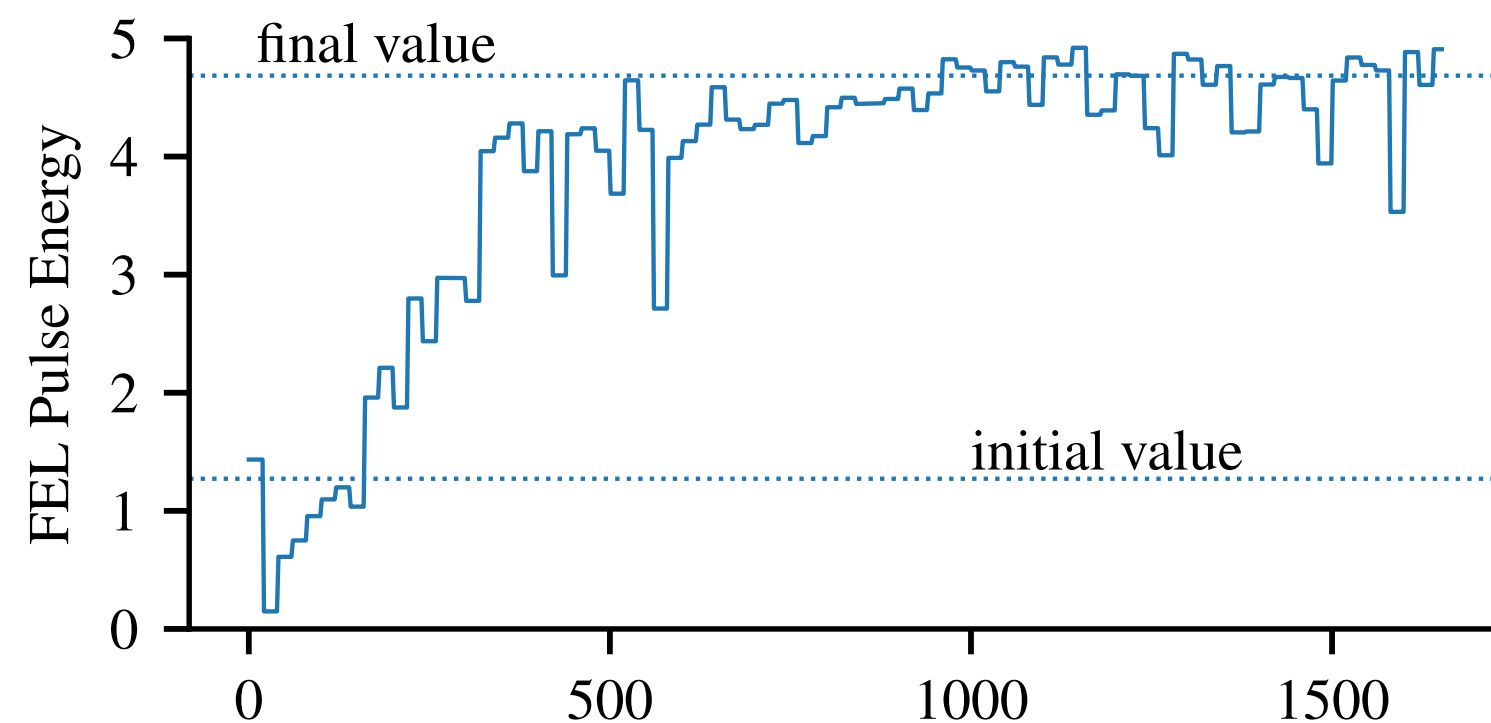
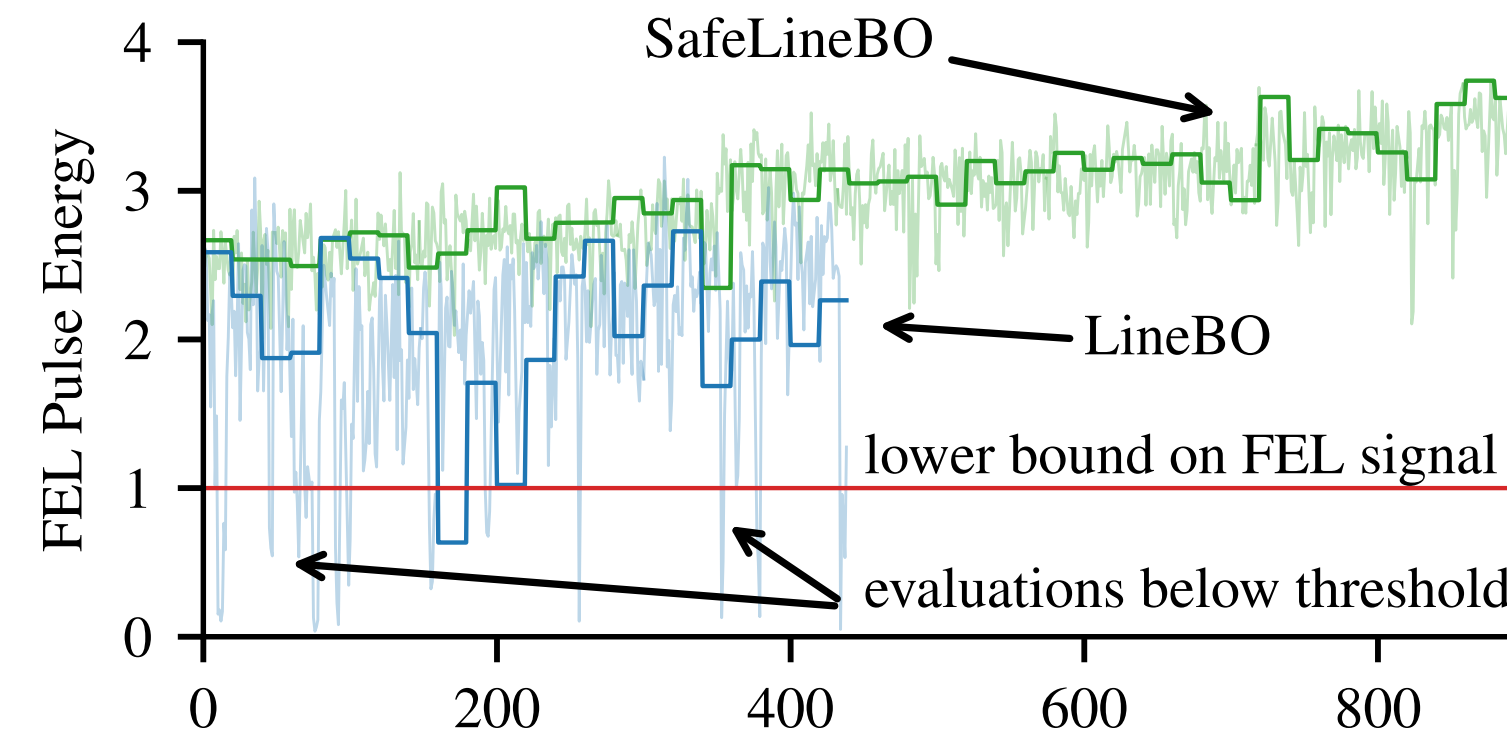
Kernel characterizes **smoothness** of functions in \mathcal{H} .

COMPARISON OF OPTIMIZATION ALGORITHMS



Benchmarking against other algorithms!
(24 Parameters)

Adding Safety Constraints
(24 Parameters)

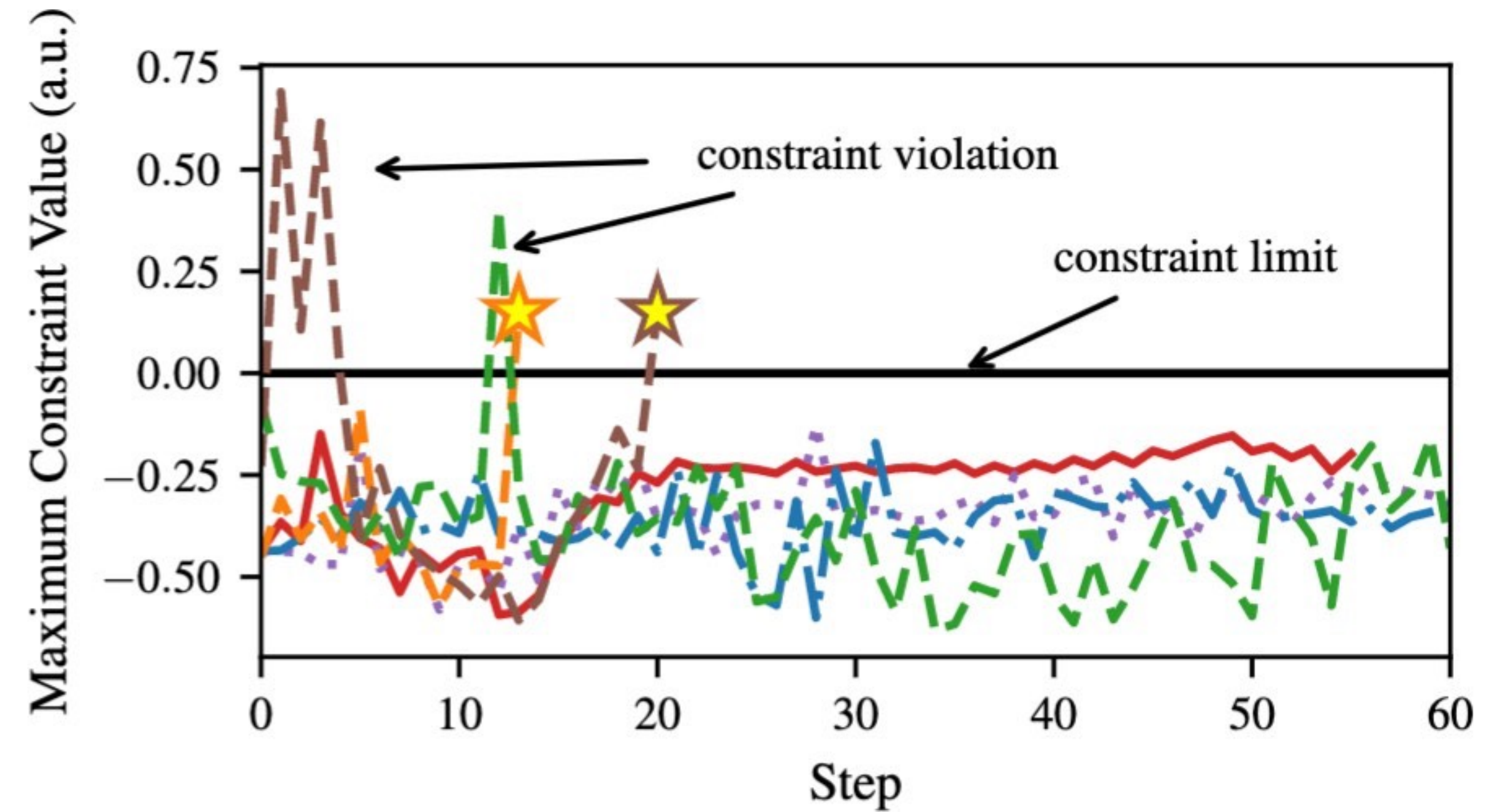
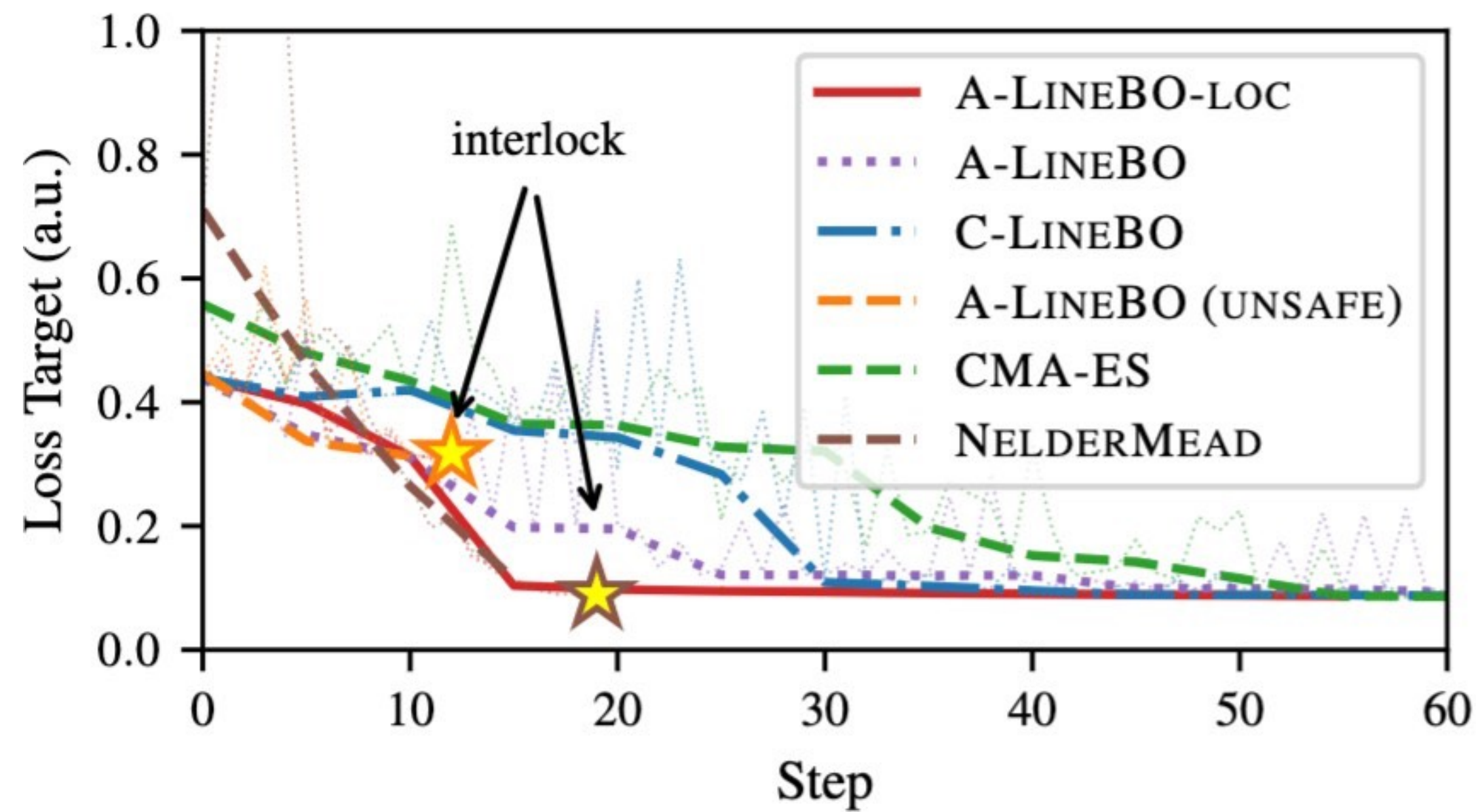


Tuning at about 1 Hz: 500 steps = 8 min

Still works fast with 40 Parameters!

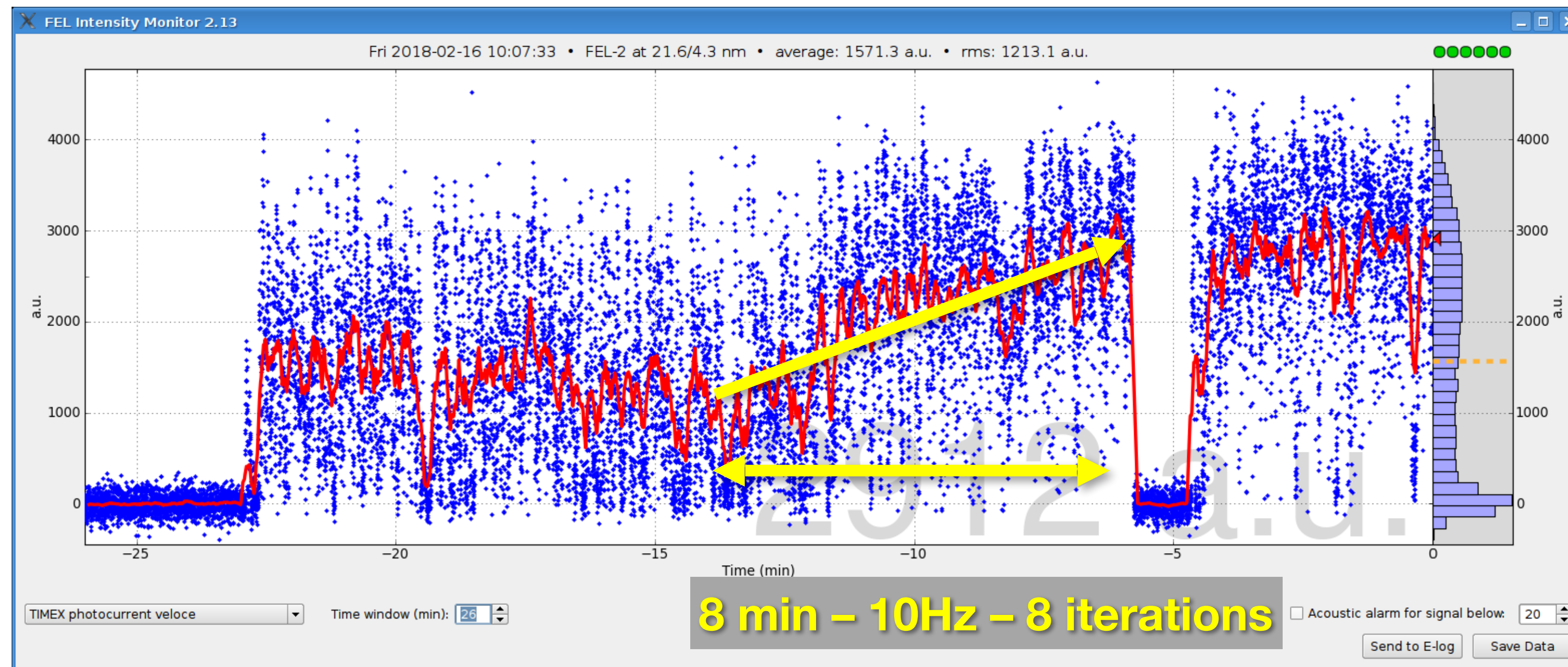
HIPA RESULTS

- safe variants competitive
- non-safe methods create interlocks (violate constraints)
- proves constraints are working



Statistical Optimization of the electron beam trajectory in the undulators

- 13 Beam Position Monitors (26 variables)
- **Objective function:** FEL-2 intensity estimated by a photocurrent of a mirror installed in front of the experimental chamber
- **Passive mode** (no excitation)
- **3X** average FEL energy

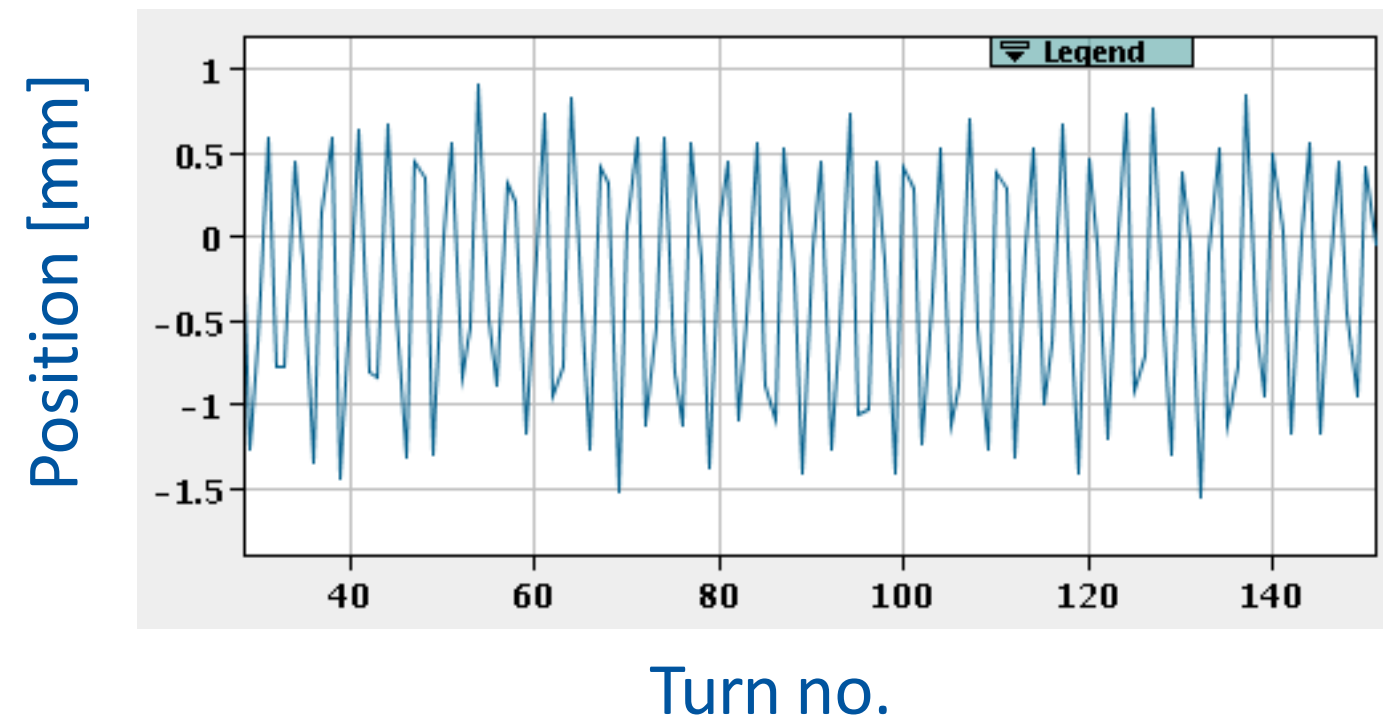


DETECTION OF FAULTY DIAGNOSTICS

- ▶ One example from CERN:
 - ▶ Detection of faulty beam position monitors
- ▶ One example from DESY:
 - ▶ Detection of faults in the superconducting RF system

Measuring the optics

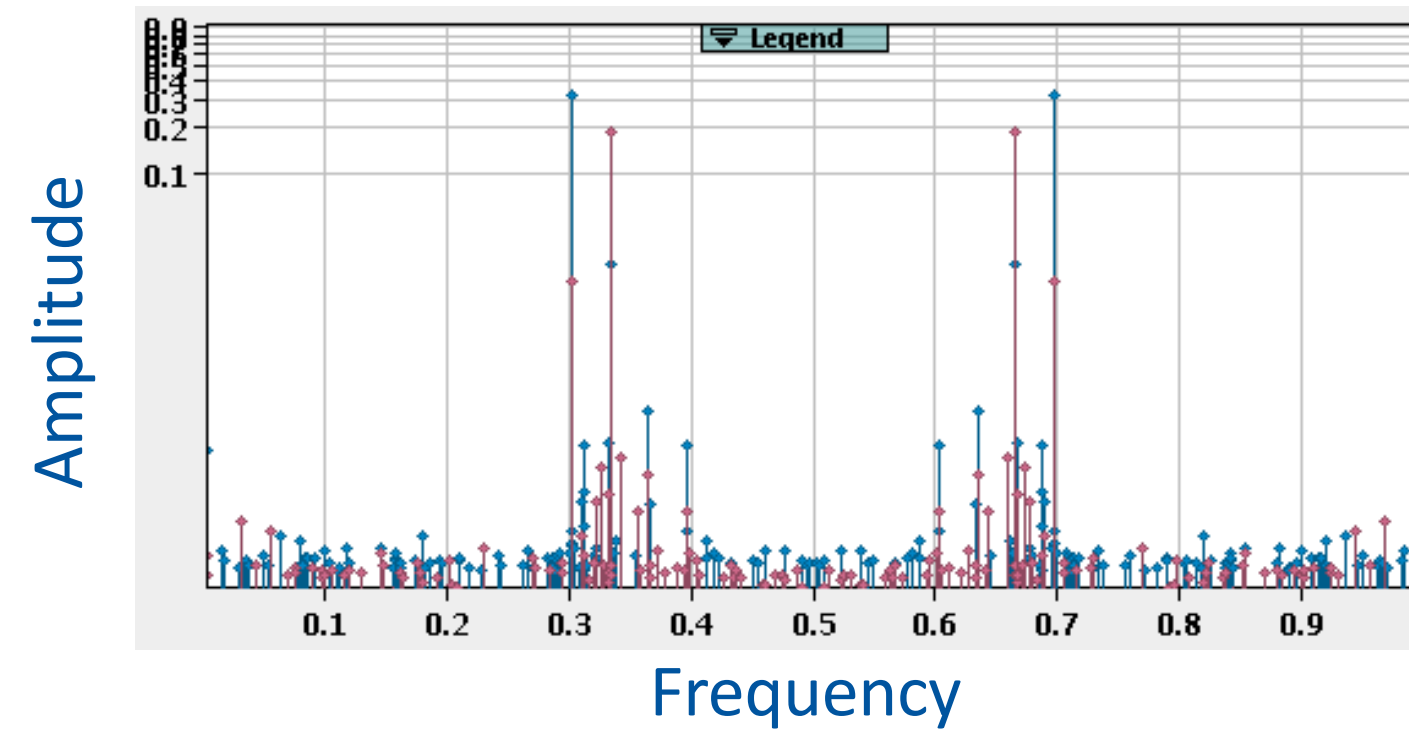
Turn-by-turn beam position



- Excite the beam to perform transverse oscillations.
- **Beam Position Monitors (BPMs) to measure the beam centroid turn-by-turn**

Denoising (SVD)
Signal cuts

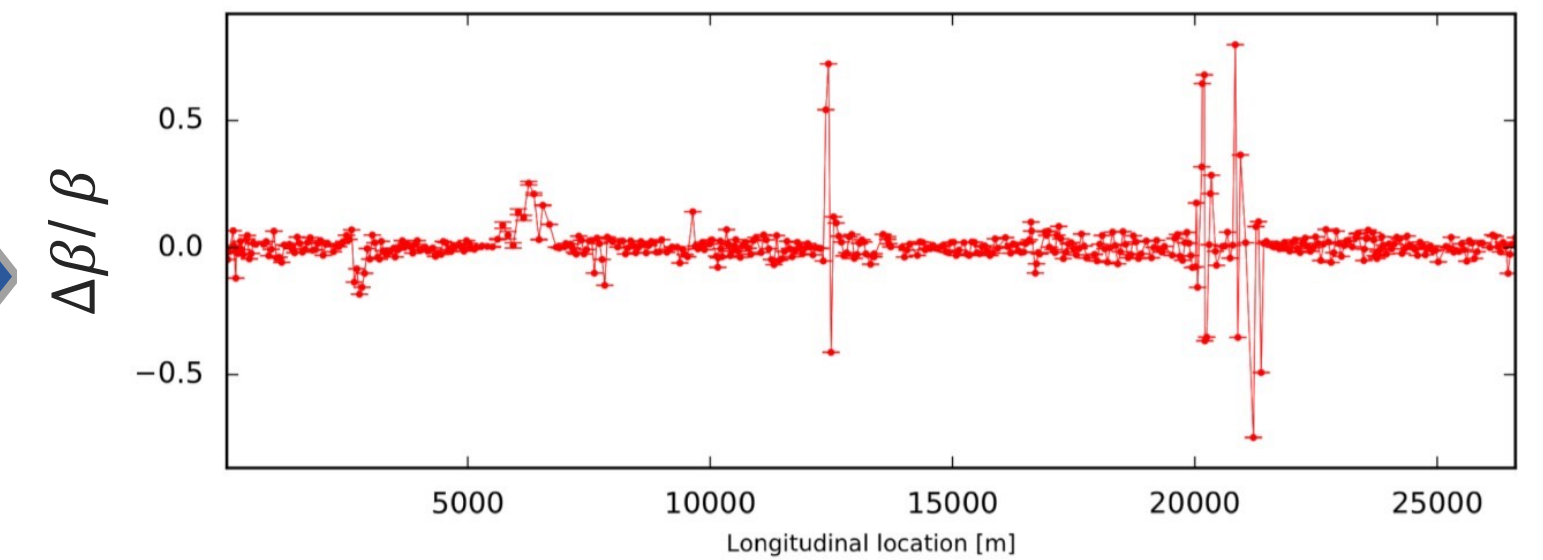
Spectrum



- Harmonic analysis using Fast Fourier Transform (FFT)

Semi-automatic and manual cleaning of outliers

Optics



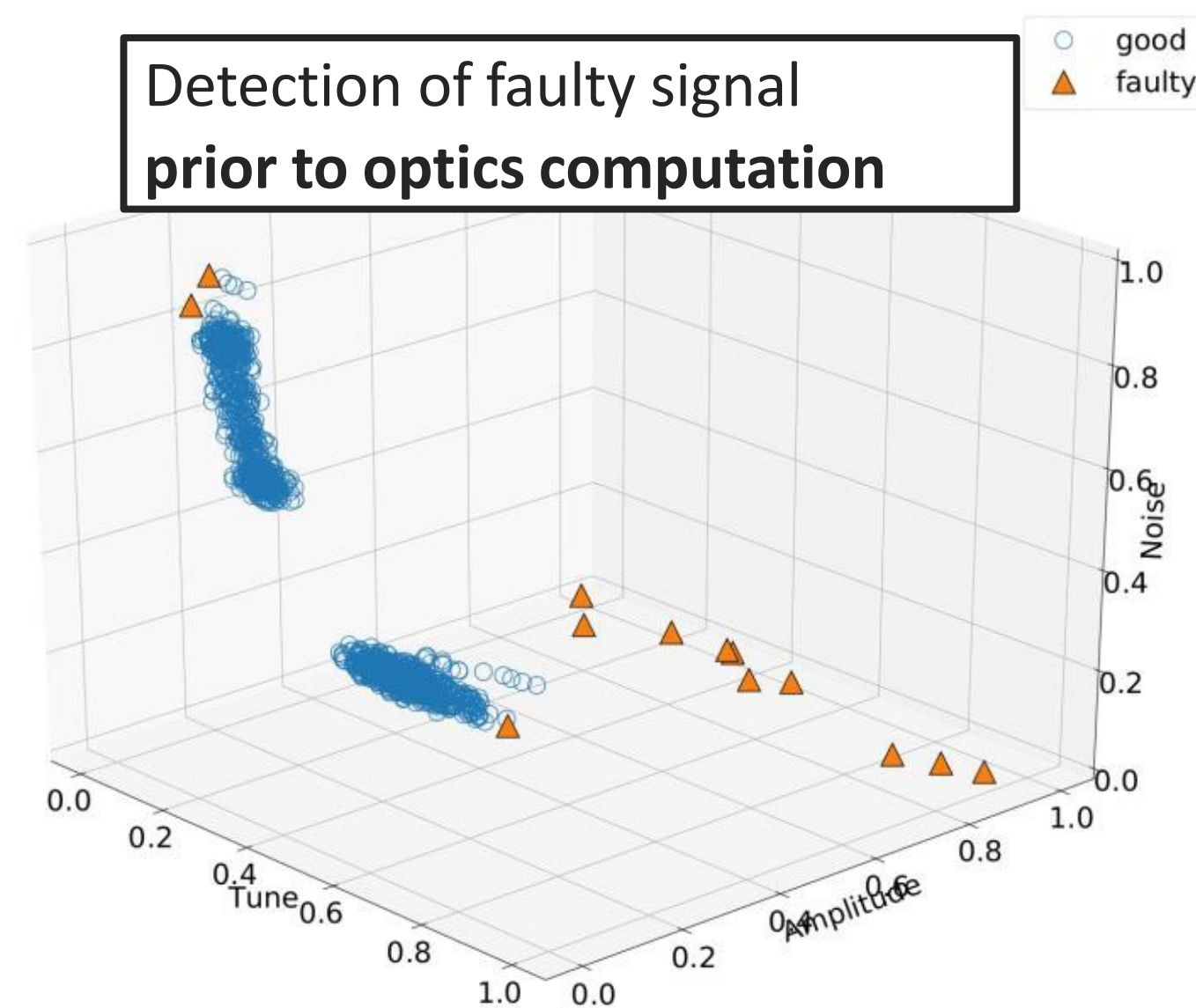
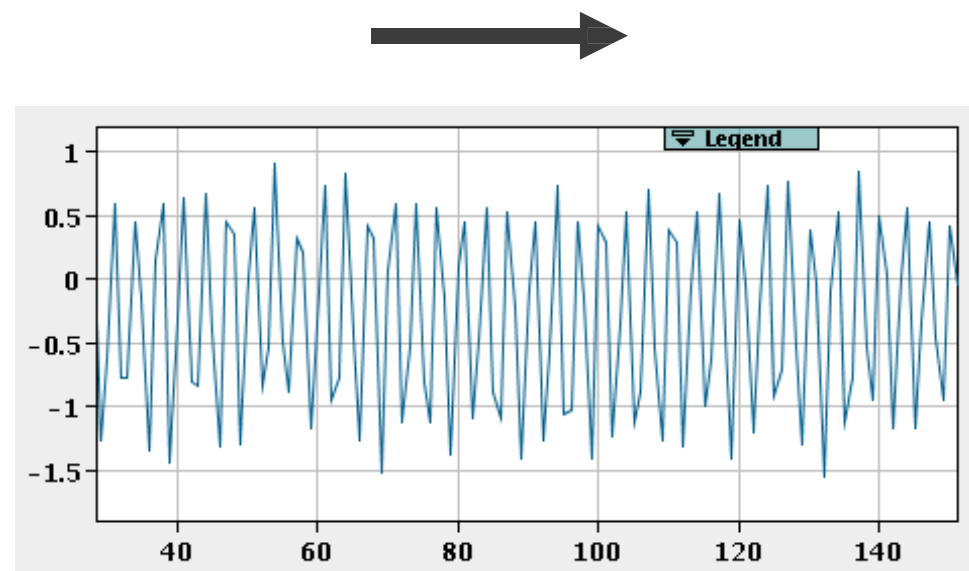
- Compute beta-beating and other optics functions

Unphysical values still can be observed

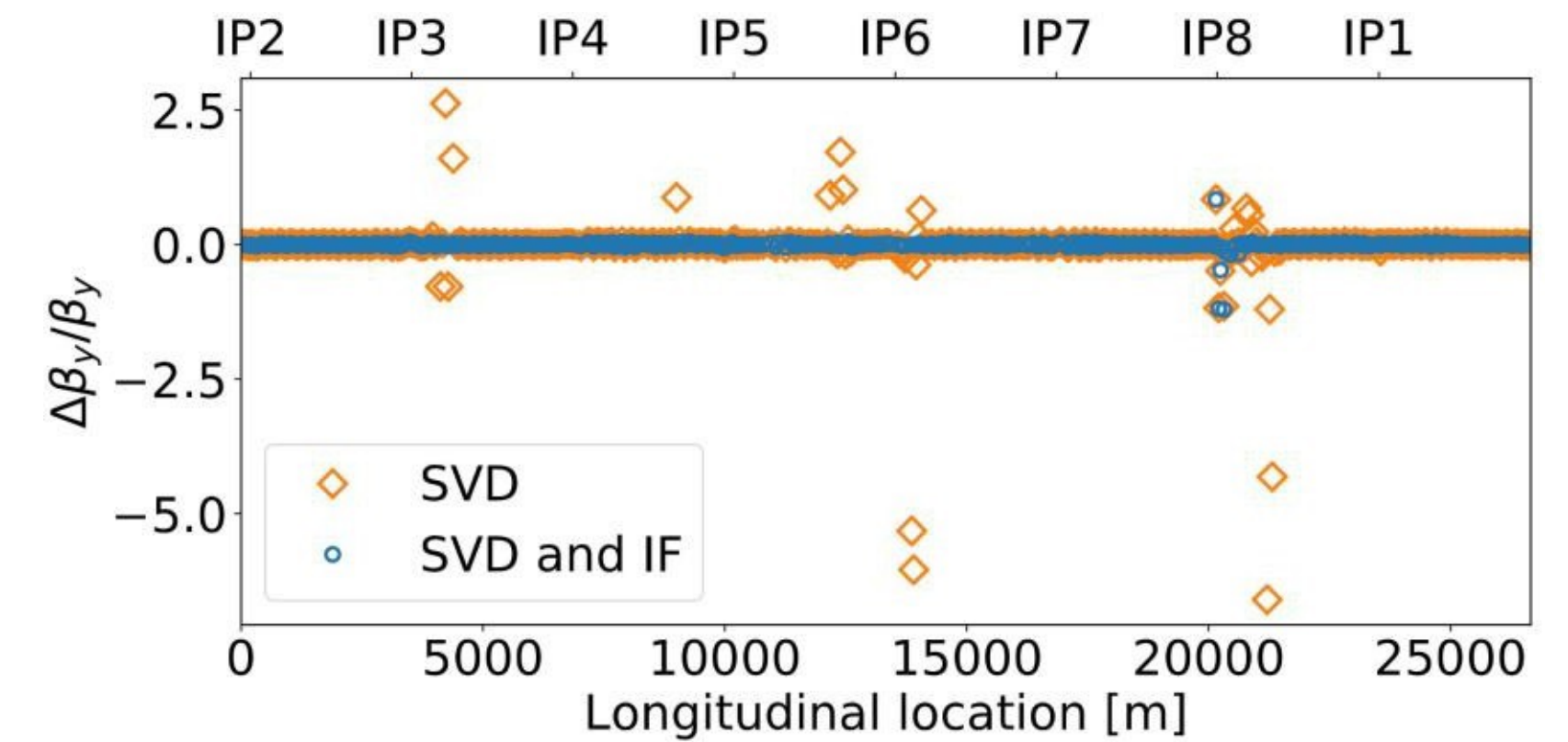
Detection of faulty Beam Position Monitors

- Faulty BPMs are **a-priori unknown**: no ground truth → **Unsupervised Learning**
- Applied clustering algorithms: DBSCAN[1], Local Outlier Factor[2], anomaly detection using **Isolation Forest**[3] implemented with *Scikit-Learn*.

Harmonic analysis of all BPMs



Avoid the appearance of erroneous optics computation



- Outlier detection based on combination of several signal properties
- Immediate results

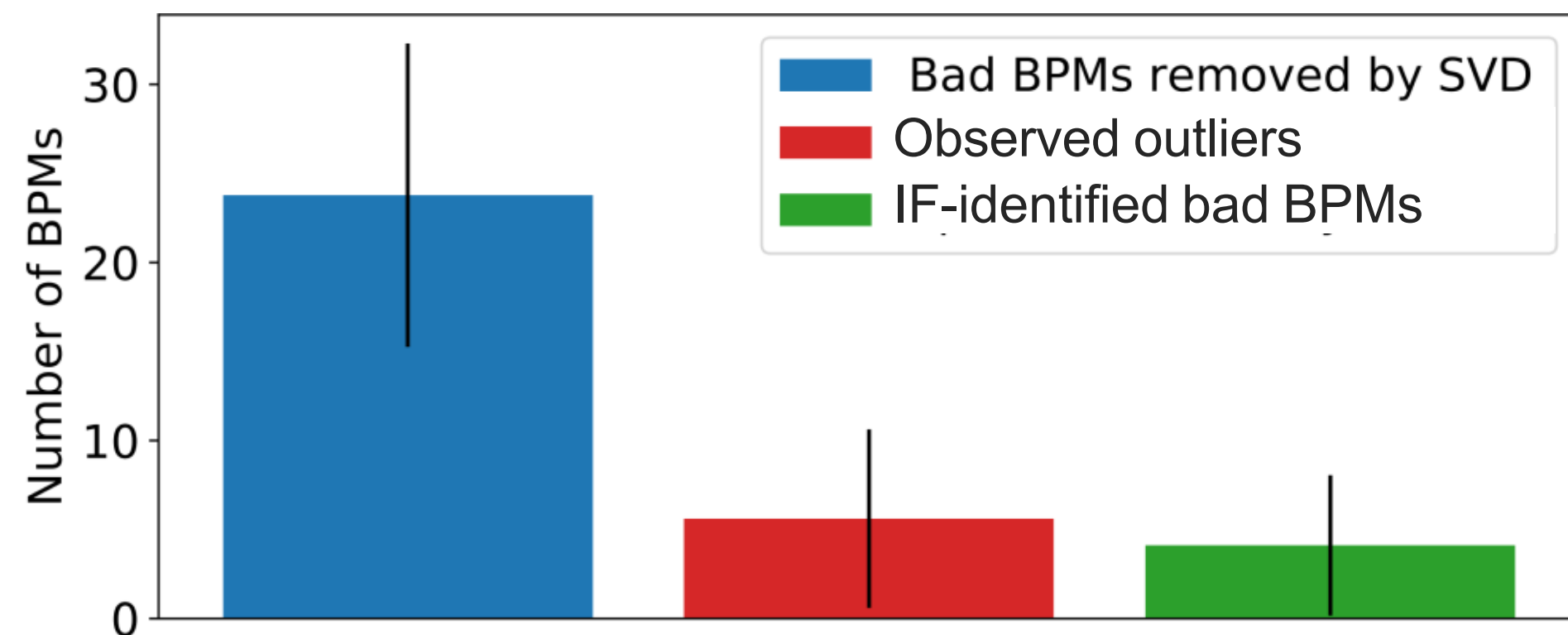
1. "A Density-Based Algorithm for Discovering Clusters in Large Spatial Databases with Noise" Ester, M., H. P. Kriegel, J. Sander

2. Breunig, M. M., Kriegel, H. P., Ng, R. T., & Sander, J. (2000, May), LOF: identifying density-based local outliers

3. Liu, Fei Tony, Ting, Kai Ming and Zhou, Zhi-Hua. "Isolation forest." Data Mining, 2008. ICDM'08.

Detection of faulty Beam Position Monitors

*Reduction of non-physical outliers in beta-beating:
Averaged cleaning results, optics measurements in 2018.*



- Instant faults detection instead of offline diagnostics.
- Full optics analysis is possible directly during dedicated measurements session instead of iterative procedure of cleaning and analysis.

- ✓ **Fully integrated** into optics measurements at LHC
- ✓ **Successfully used in operation** under different optics settings.

Published in: Physical Review Accelerators and Beams:

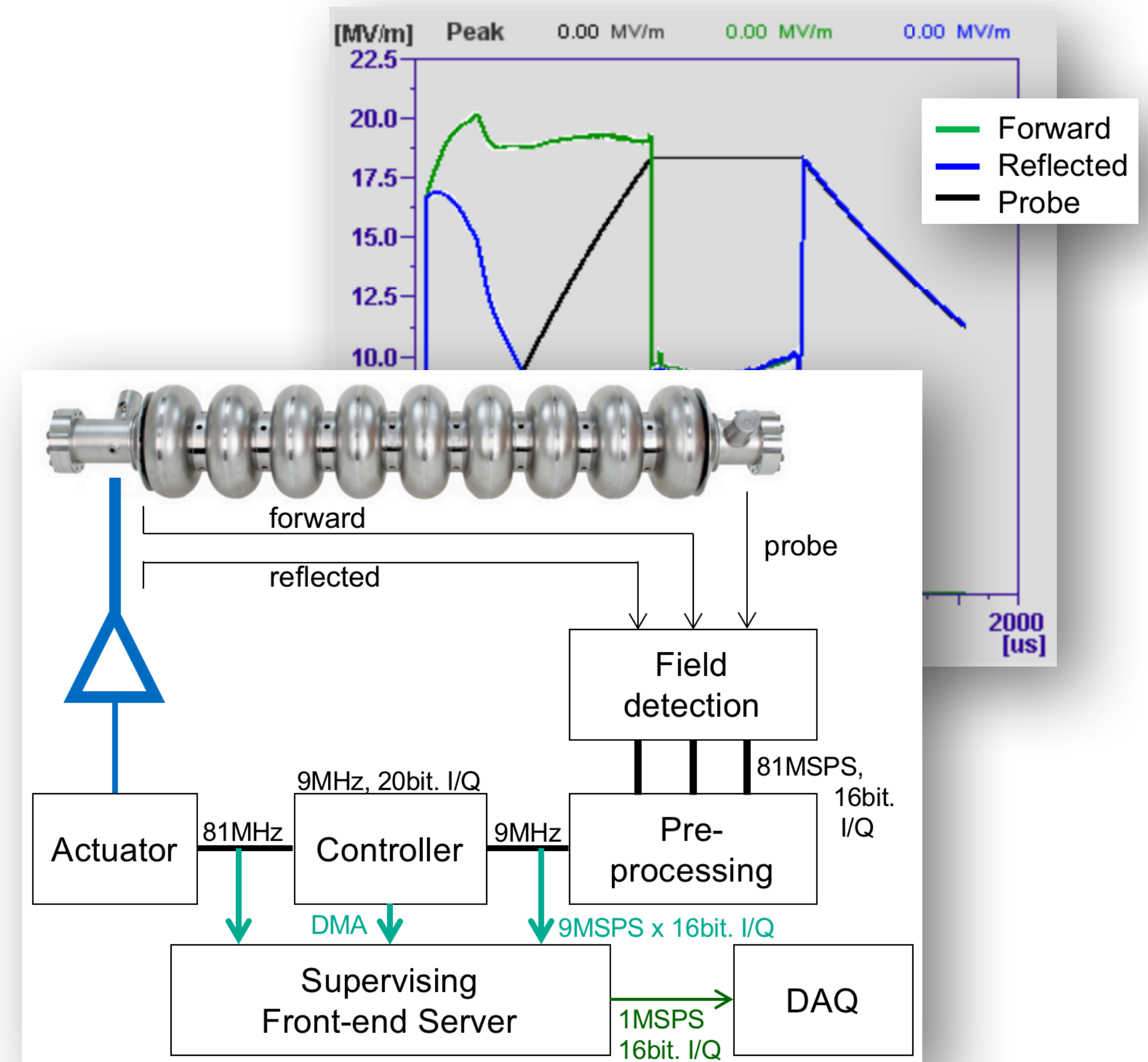
“Detection of faulty beam position monitors using unsupervised learning”, Phys. Rev. Accel. Beams 23, 102805.

Areas for potential ML applications – Anomaly detection for the cavity signals

- ▶ Cavity fault detection requires: U_{for} , U_{ref} , U_{probe}
- ▶ Data rates to DAQ per cavity per pulse:
 - ▶ $2048 \times 2 \times 3 \times 16\text{bit} = 24.6\text{kB}$
 - ▶ Pulses per Day = 864000
 - ▶ 700 cavities → **604 Mio** events/day
 - ▶ Total data/day = **14.8 TB**
- ▶ **Good statistics** (ensemble & events)

Questions we like to address:

- ▶ How many cav./pulses behave normally
- ▶ Cav/Pulses out of nominal operation range
- ▶ Reliably quench detection and reaction
- ▶ Anomalies: due to parameter changes
- ▶ due to digital / communication/ readout

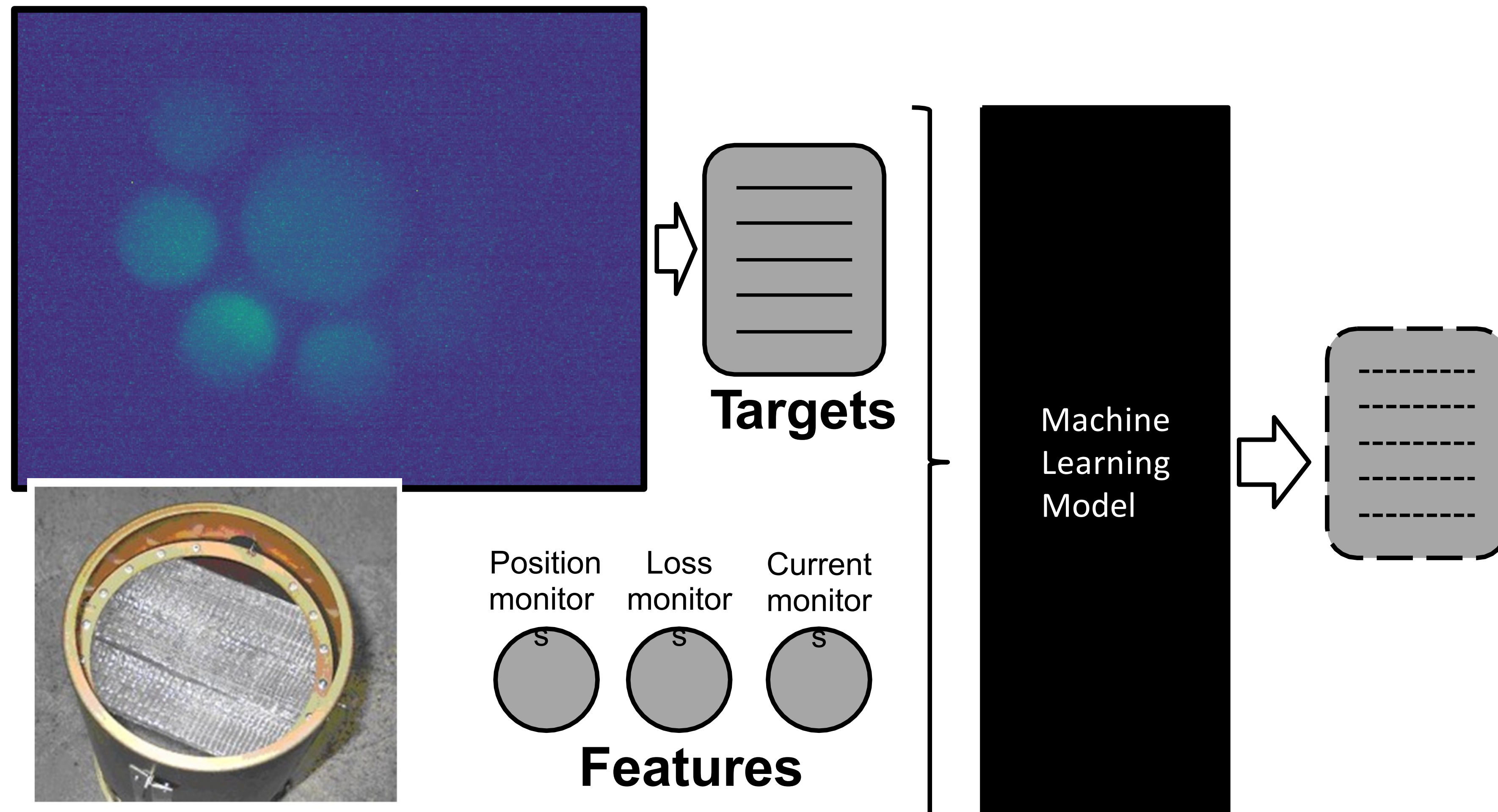


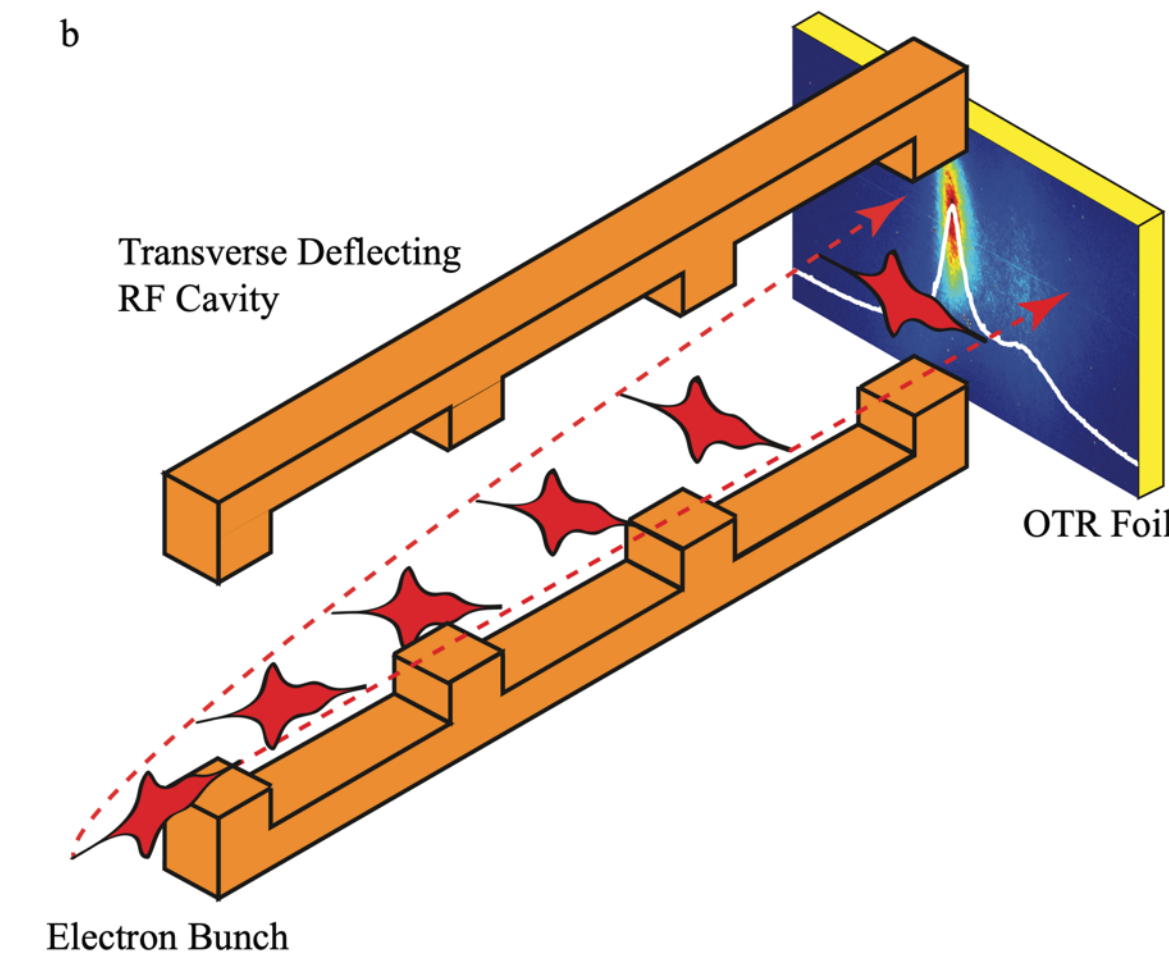
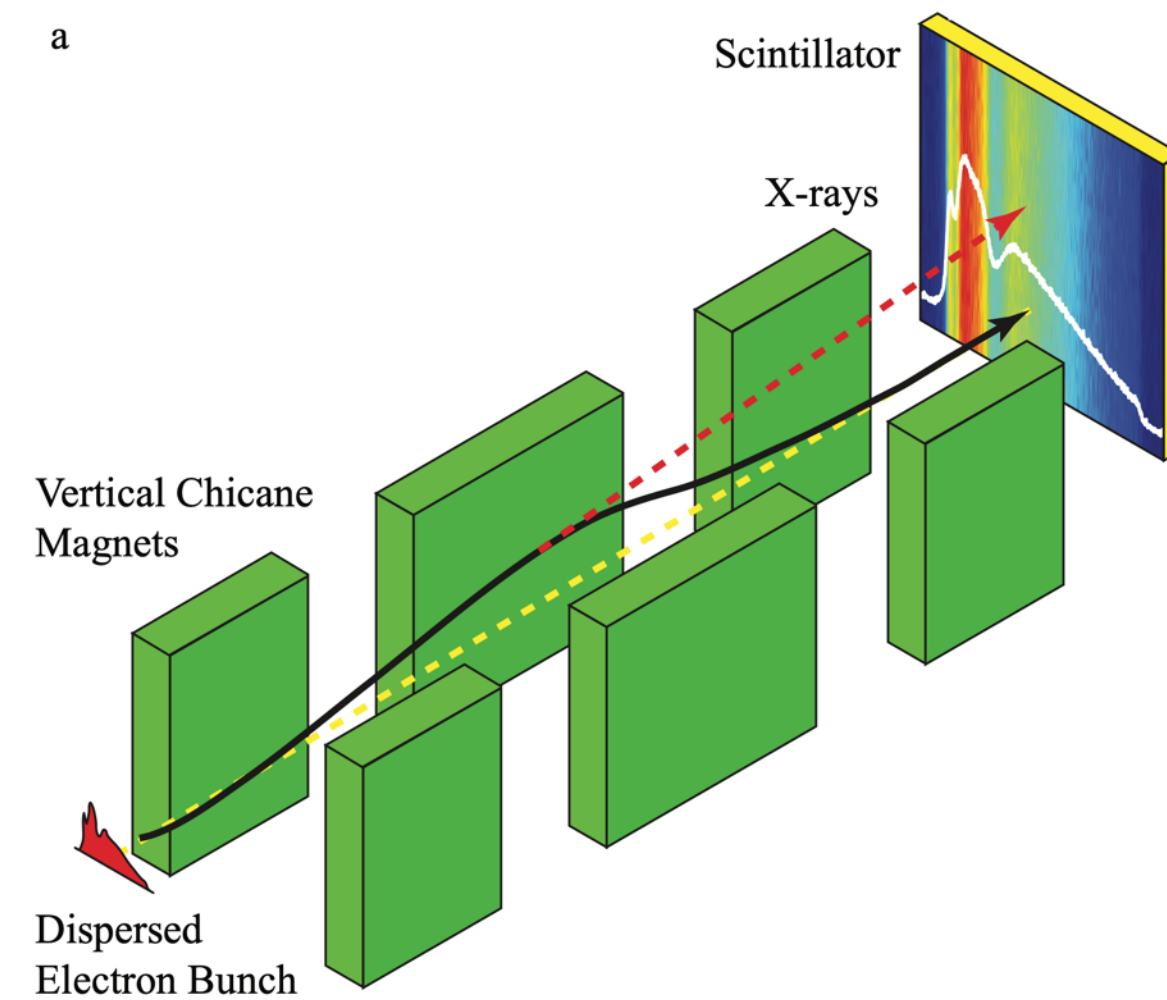
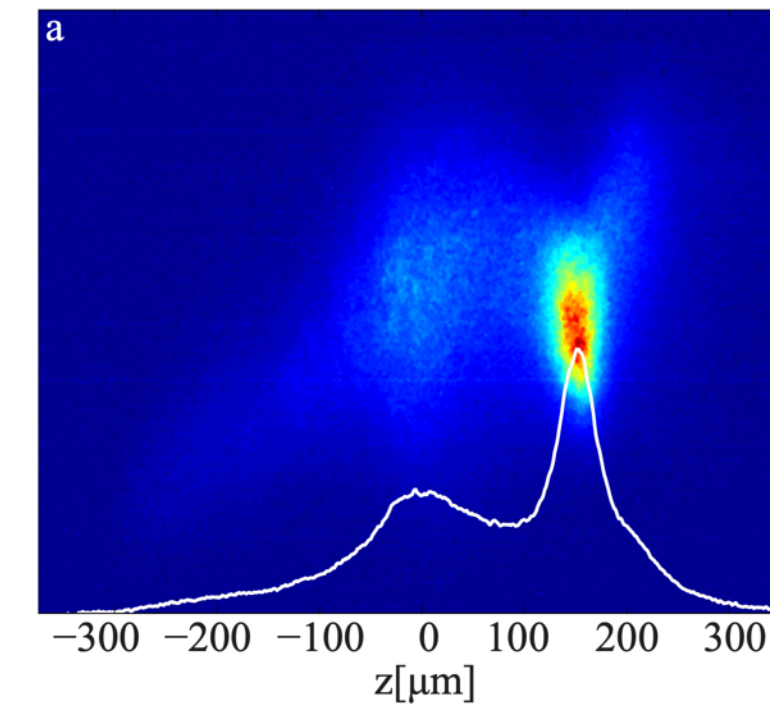
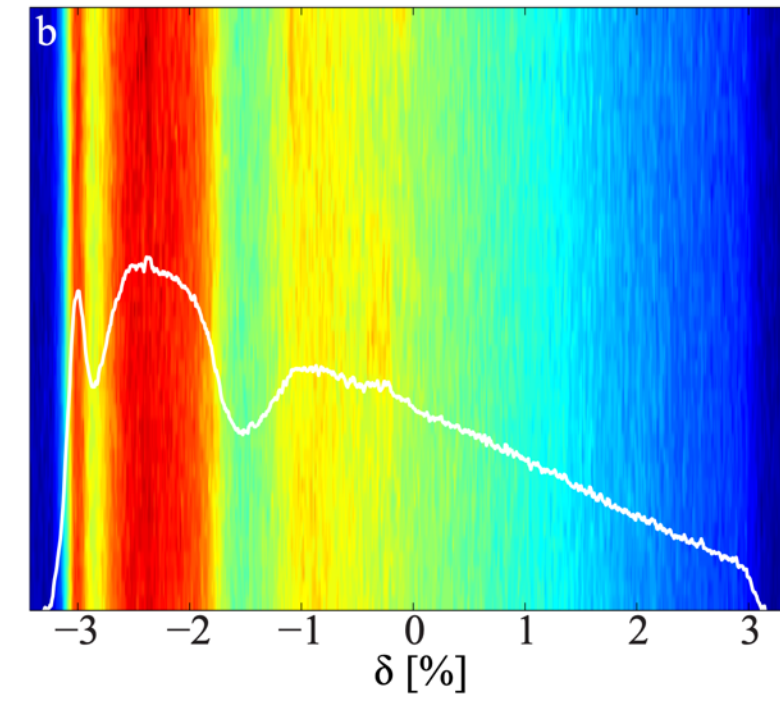
VIRTUAL DIAGNOSTICS

- ▶ Use ML to predict the response of an instrument
 - ▶ Invasive instruments (e.g. spectrometers, screens...)
 - ▶ Fragile instruments
 - ▶ Broken instruments

VIRTUAL DIAGNOSTICS AT SINQ

- The VIMOS system monitors the SINQ target beam spot with a metal grid.
- If the beam is focussed too much or changes too fast interlocks are triggered.
- This grid is degrading over time and cannot be replaced
- **Can we use other sensors to predict the images?**







APPLICATIONS OF ML TO ACCELERATOR SIMULATION

Why add ML tools for simulations?

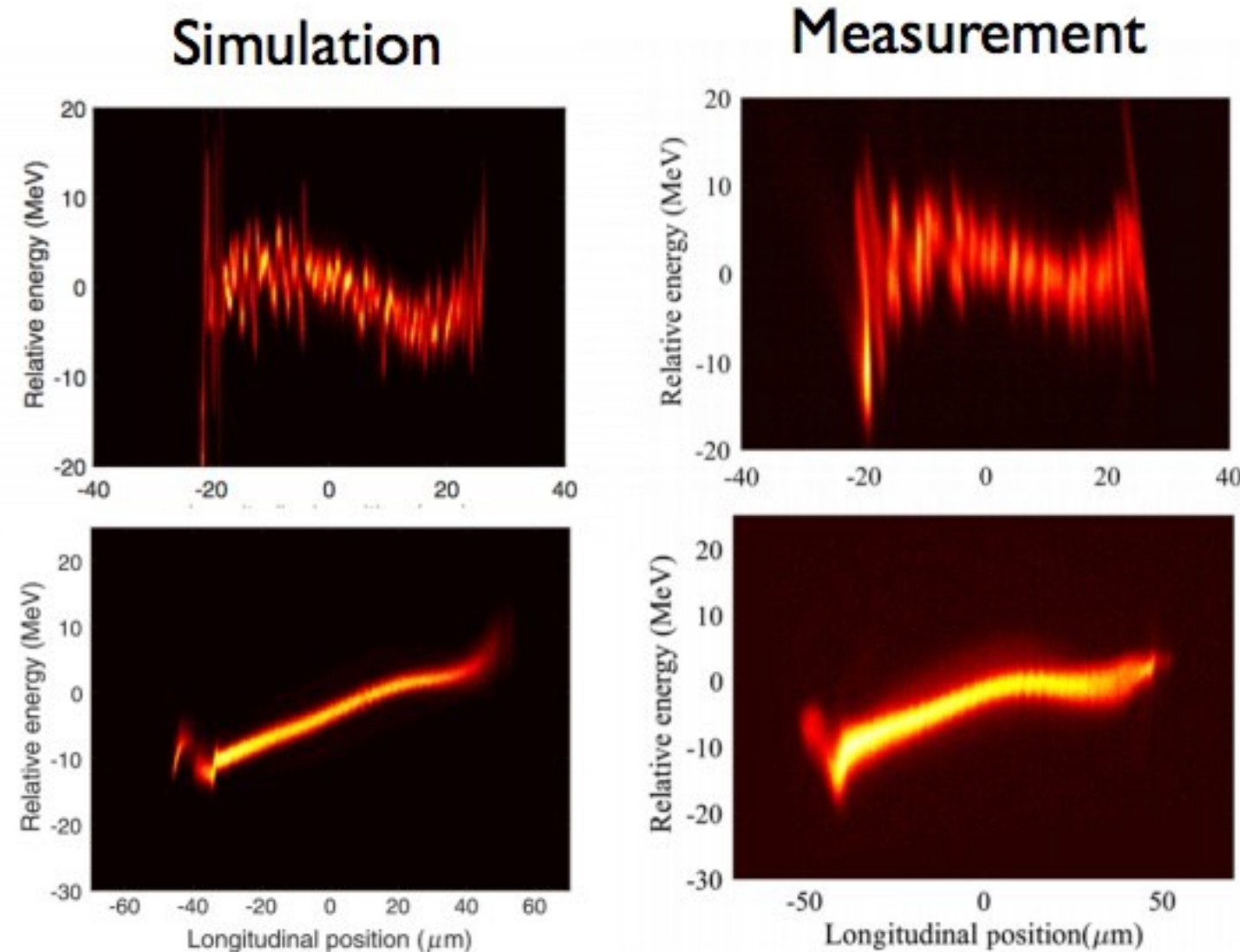
Accelerator simulations that include nonlinear + collective effects are powerful tools...

... but they are computationally expensive and don't always match the machine well

↓
*Impedes offline start-to-end optimization and control prototyping
Prohibits use as an online model (e.g. diagnostic / control applications)*

Often takes much effort to replicate real machine behavior

↑
but will still have this issue regardless



J. Qiang, et al., PRSTAB30, 054402, 2017

↑
"10 hours on thousands of cores at the NERSC"

One approach: faster modeling codes

Simpler models (tradeoff with accuracy)

analytic calculations e.g. *J. Galambos, et al., HPPA5, 2007*

Parallelization and GPU-acceleration of existing codes

HPSim/PARMILA *X. Pang, PAC13, MOPMA13*

elegant *I.V. Pogorelov, et al., IPAC15, MOPMA035*

Improvements to modeling algorithms

Lorentz-boosted frame *J.-L. Vay, Phys. Rev. Lett. 98 (2007) 130405*

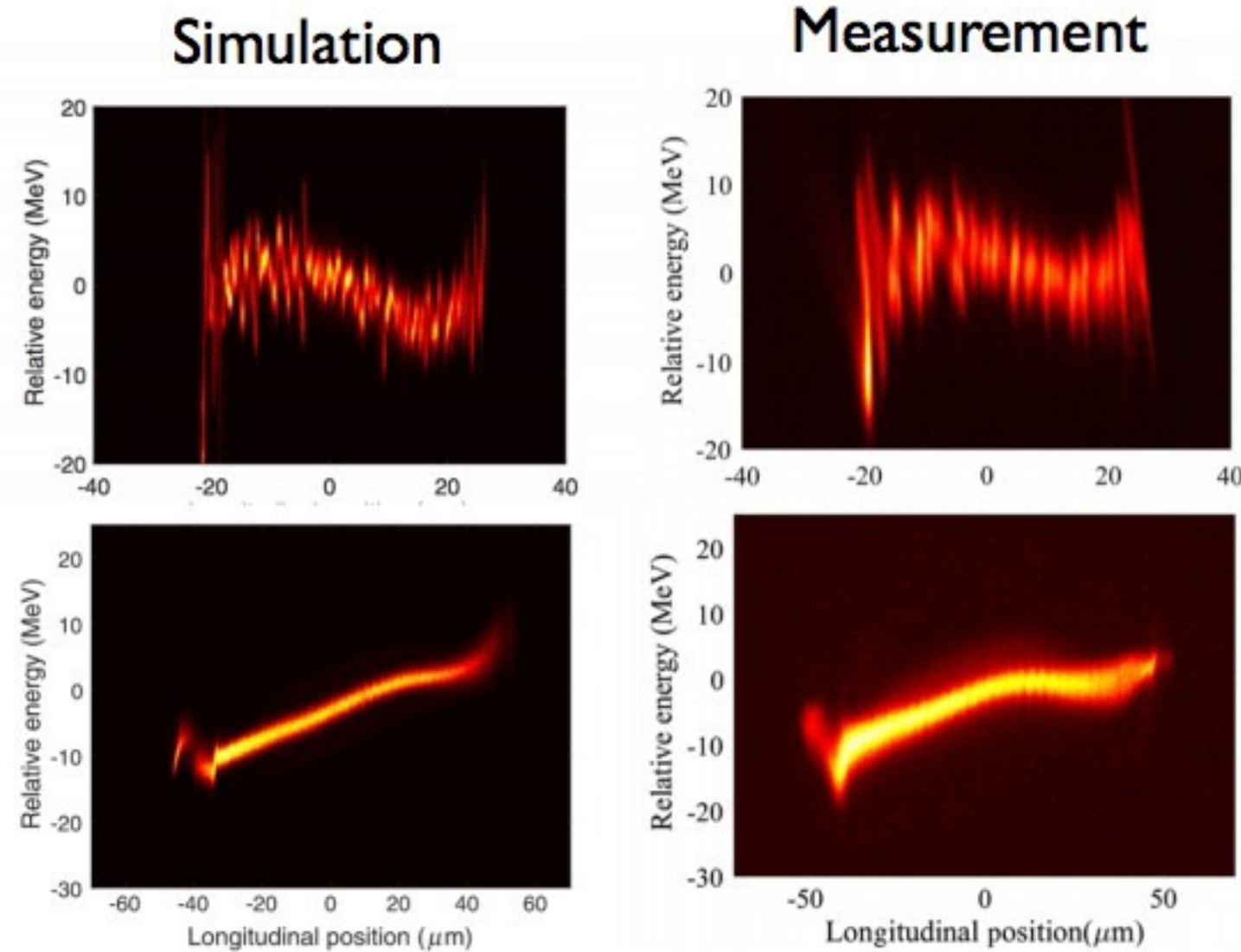
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*J. Qiang, et al.,
PRSTAB30, 054402, 2017*

↑
"10 hours on thousands of cores at the NERSC"

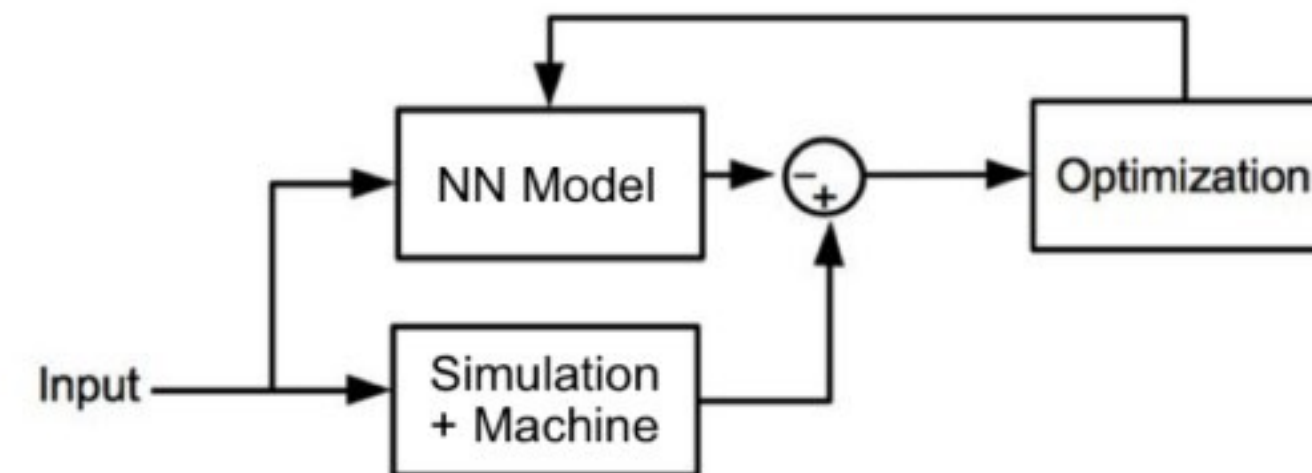
Complementary approach: **ML model**

Once trained, neural networks can execute quickly

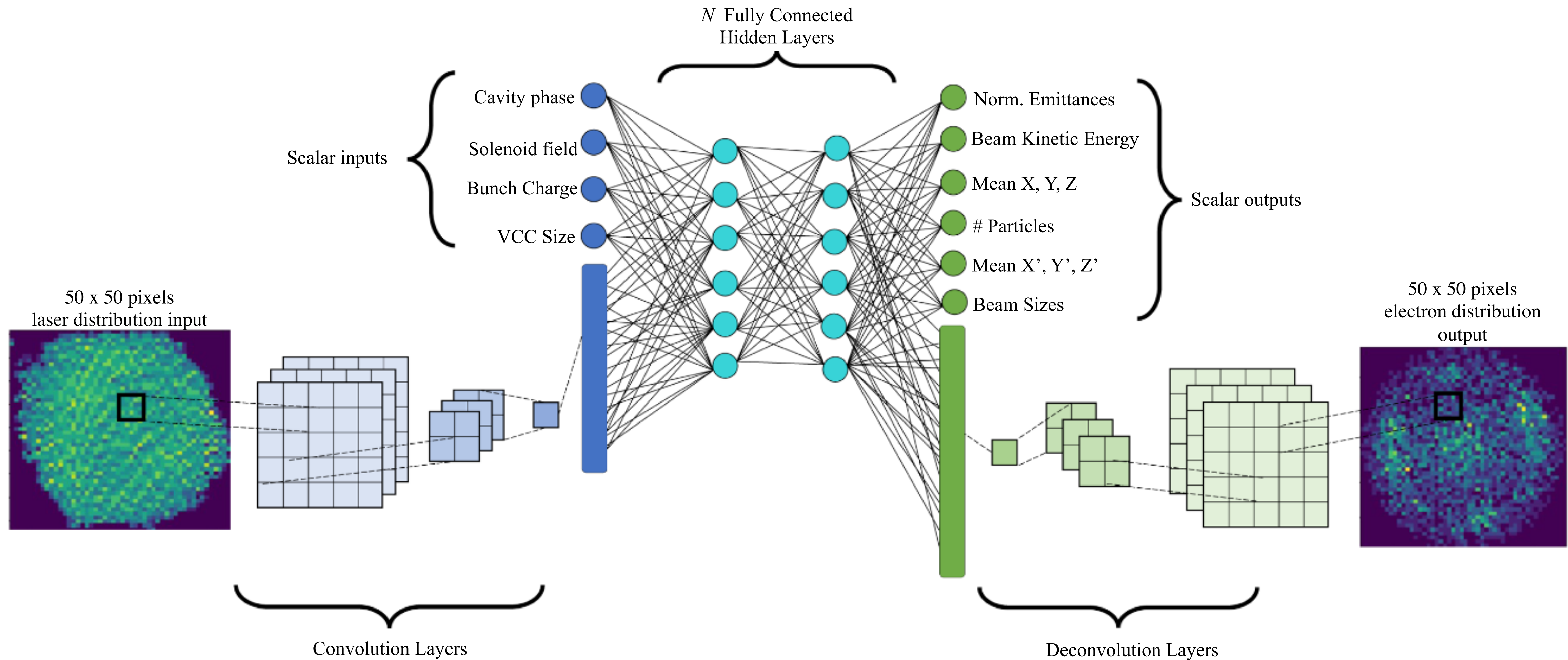
Train on sparse sample from high-fidelity simulations

+

Train on measured data



OPTIMIZATION OF THE LCLS-II INJECTOR



DA optimization for SLS 2.0

(Kranjčević, Riemann, Adelman, Streun)

Multi-objective optimization with MOGA (opt-pilot + tracy):

GOOD: found tens of points with all objective function values better than the design solution (one point shown in Figure, right)

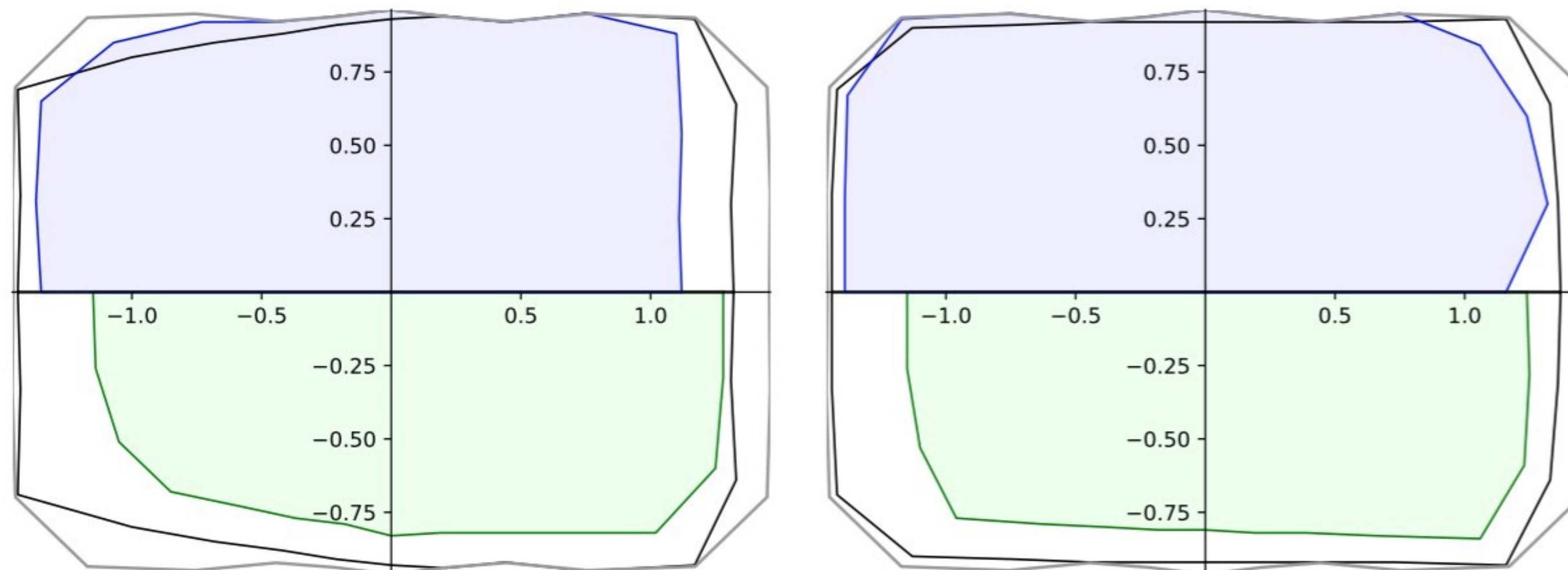


Figure: Left: design solution, right: newfound point. Transverse DAs at $\delta = -0.03$ (green), 0.03 (blue), and 0 (bold black line). For both points chromatic tune footprint and ADTS footprint constrained.

BAD: for detailed lattice models the optimization needs to be faster

DA optimization for SLS 2.0

(Kranjčević, Riemann, Adelman, Streun)

Run time and solution quality comparison for different methods:

	opt-pilot + tracy	SM (30k)	SM + re-train (20k)	SM + re-train (5k)
nof pts better	31	0	148	87
run time	48 h	11 h 21 min	8 h 52 min	3 h 10 min
speedup	1.0	4.2	5.4	15.1

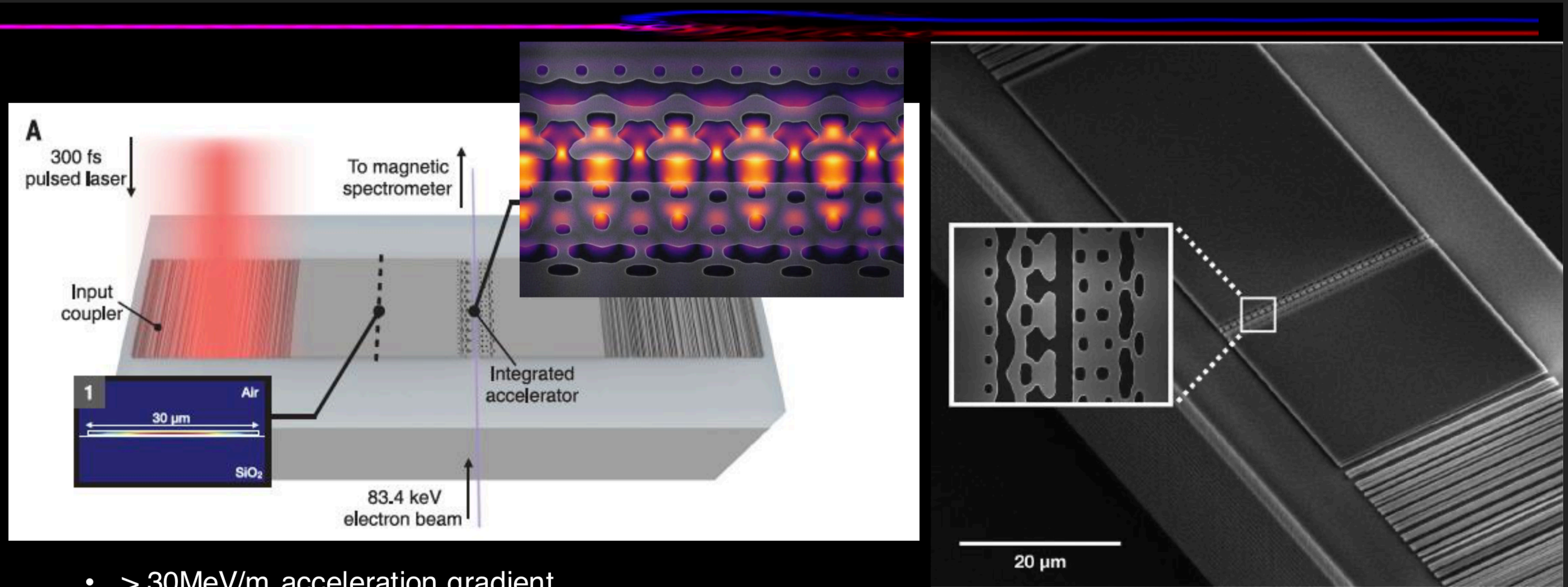
Columns: methods (the number in the parentheses is the combined size of the samples used for training)

Rows:

- ▶ 'nof pts better' is the number of design points (magnet configurations) in the last gen. that satisfy the constraints and have all objectives better than the design solution
- ▶ run times include: evaluating points used for training, training, optimization and re-eval of 10% of the points in the last gen.

<https://arxiv.org/abs/2008.04151>

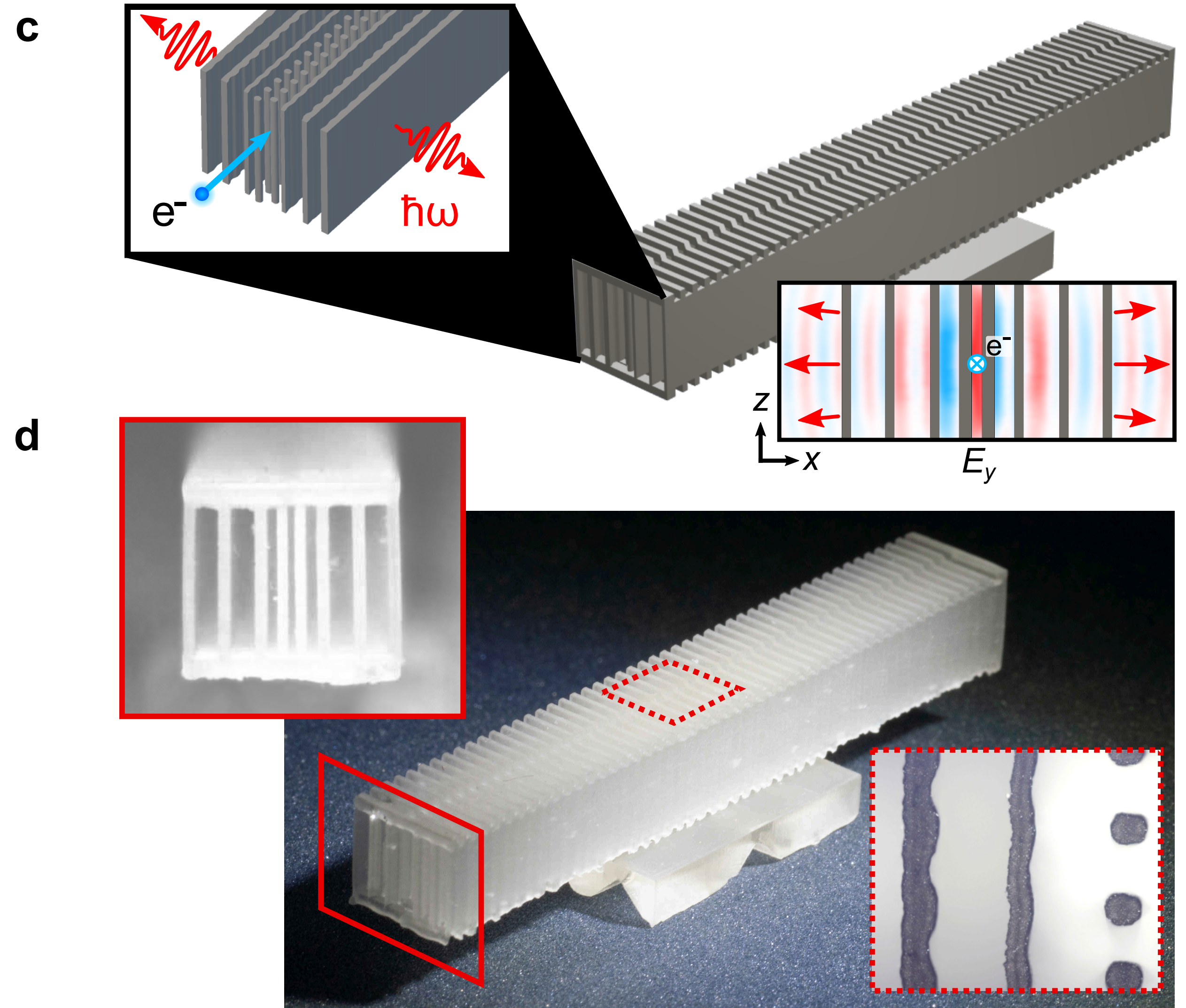
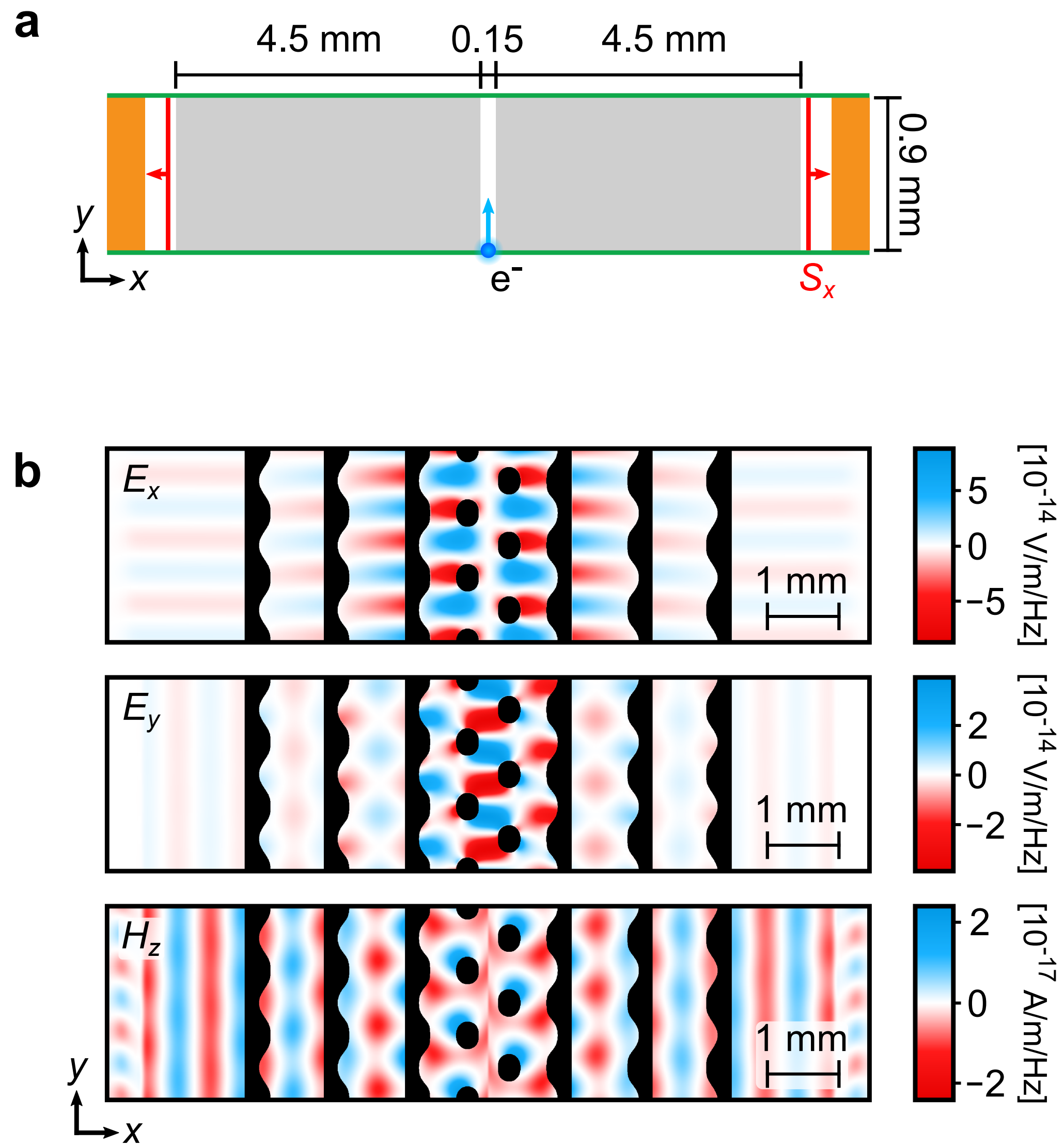
INVERSE DESIGN OF ACCELERATING STRUCTURES

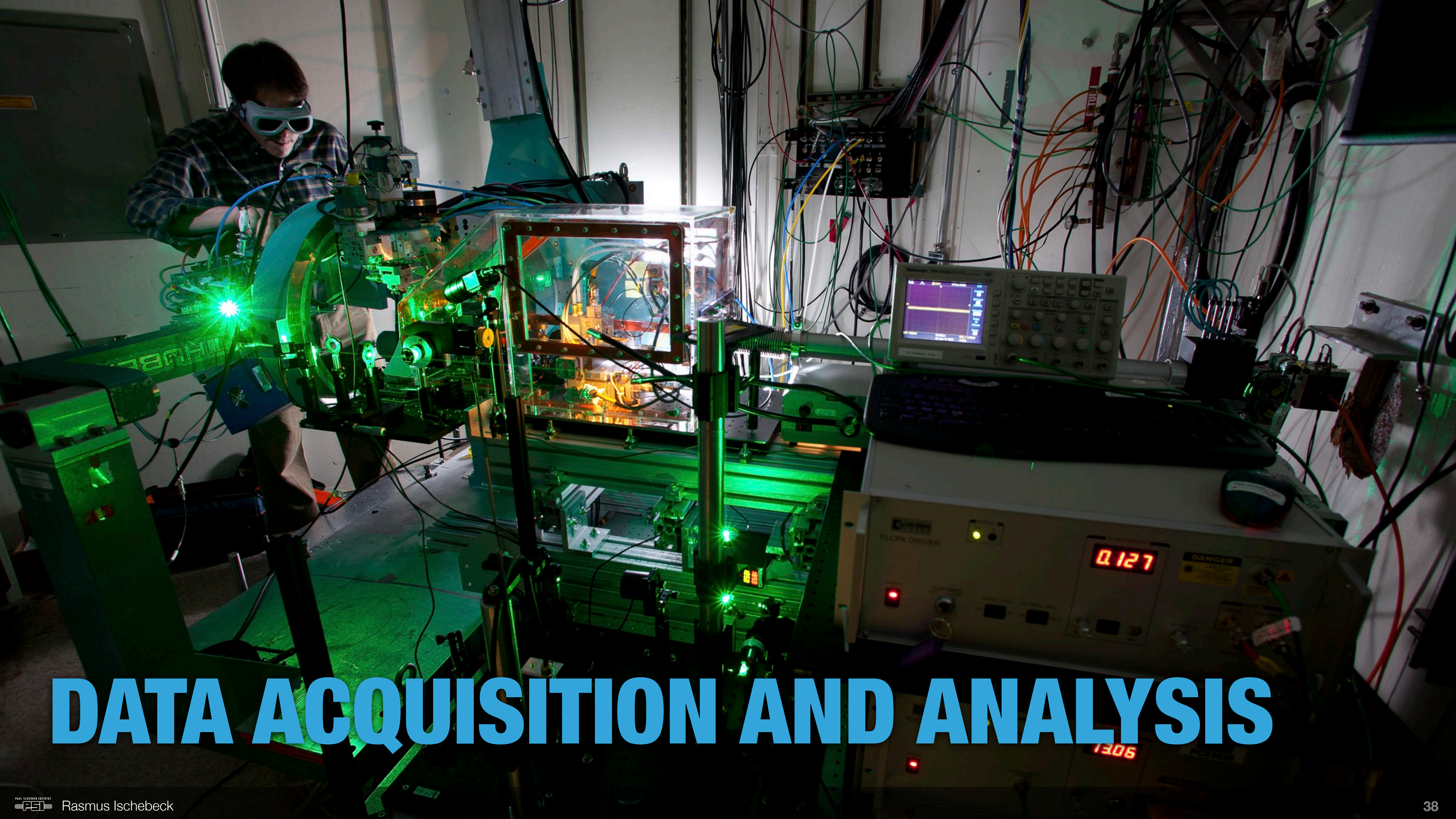


- $> 30\text{MeV/m}$ acceleration gradient
- 10000-fold reduction in size of accelerator
- $30\ \mu\text{m}$ long accelerator stage

ACHIP project (B. Byer, P. Hommelhoff)

INVERSE DESIGN OF THz STRUCTURES

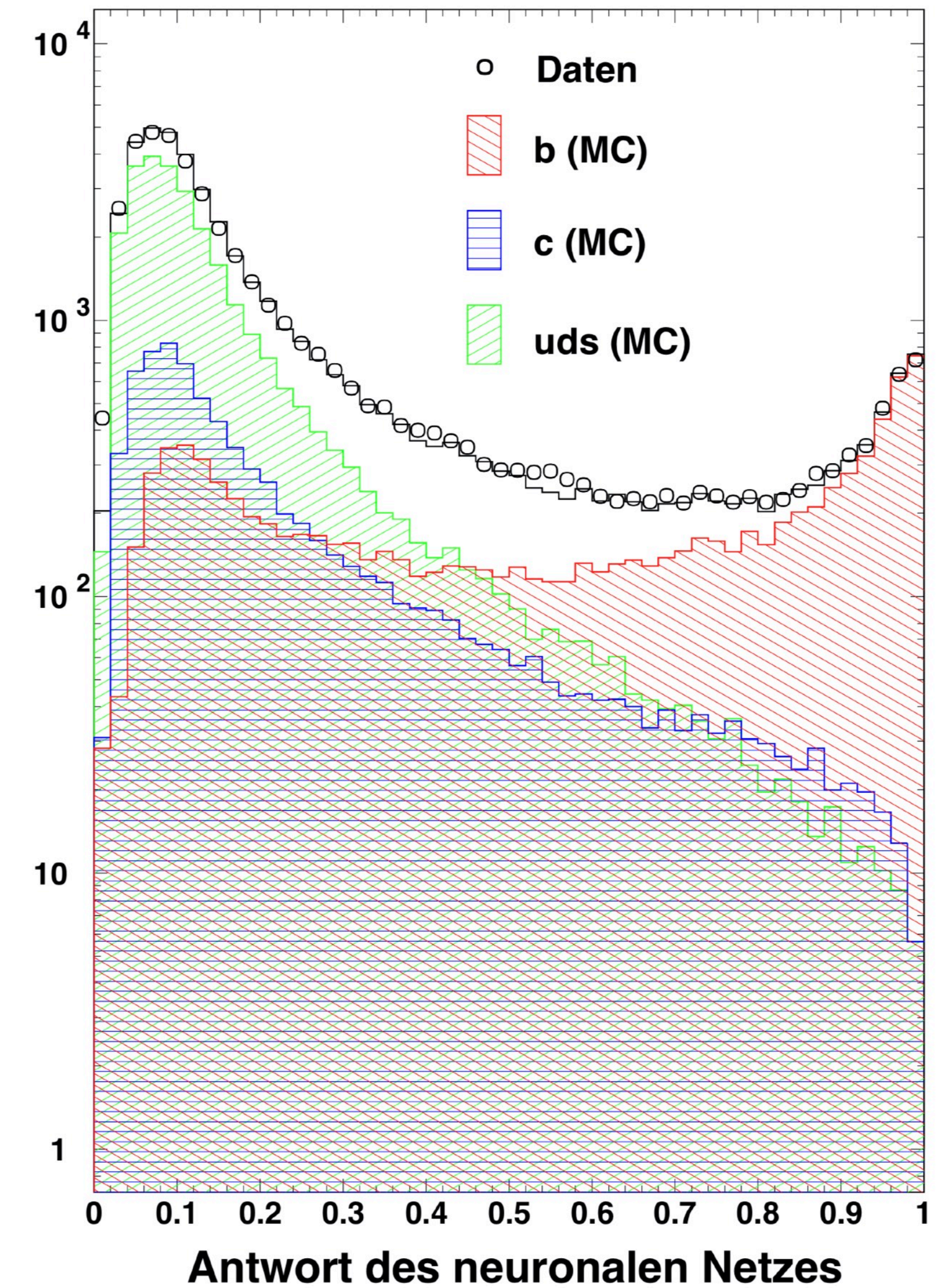




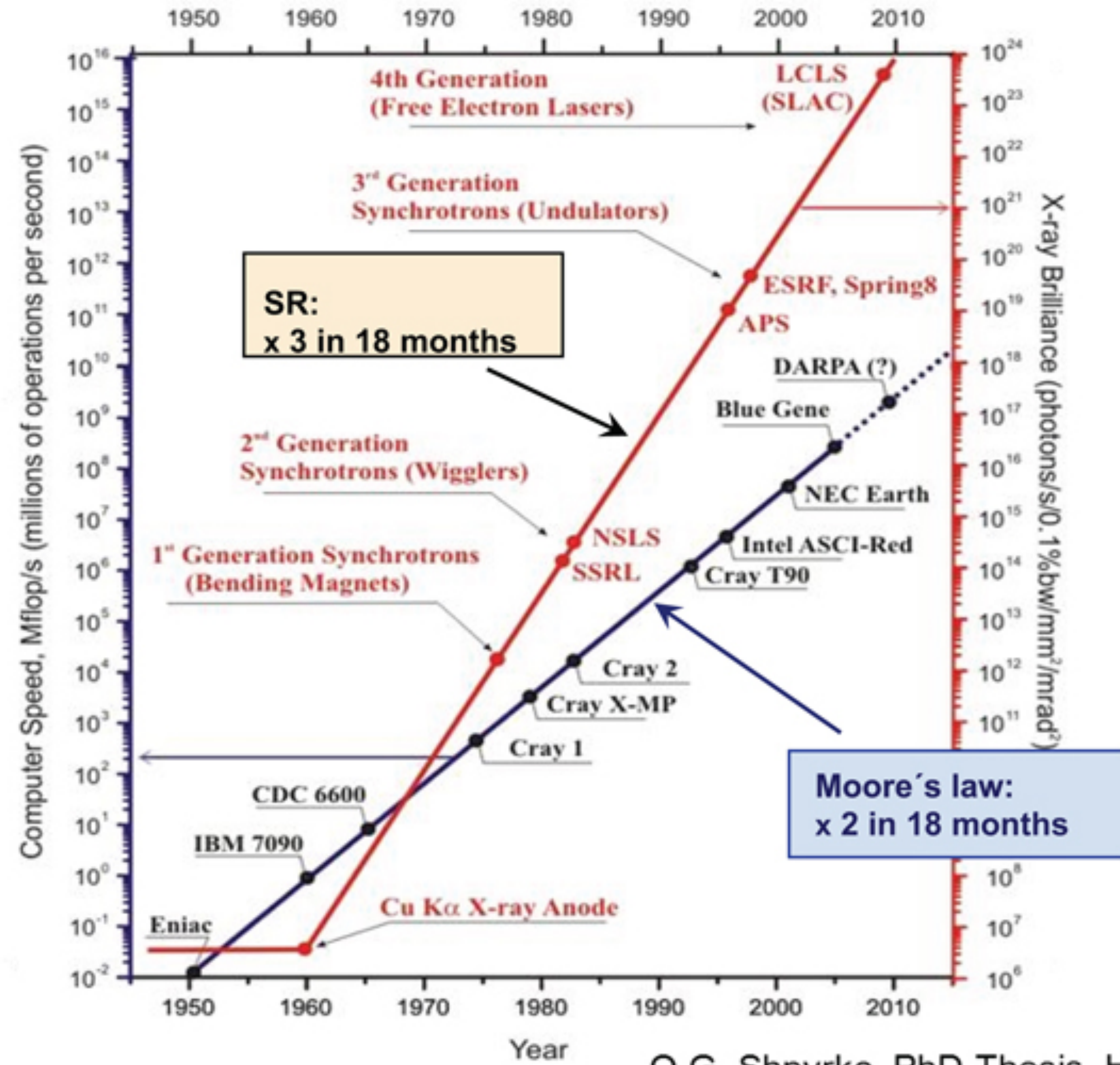
DATA ACQUISITION AND ANALYSIS

MACHINE LEARNING FOR HEP DATA ANALYSIS

- ▶ Improving interpretation of detector data (2002)



WE HAVE A PROBLEM...



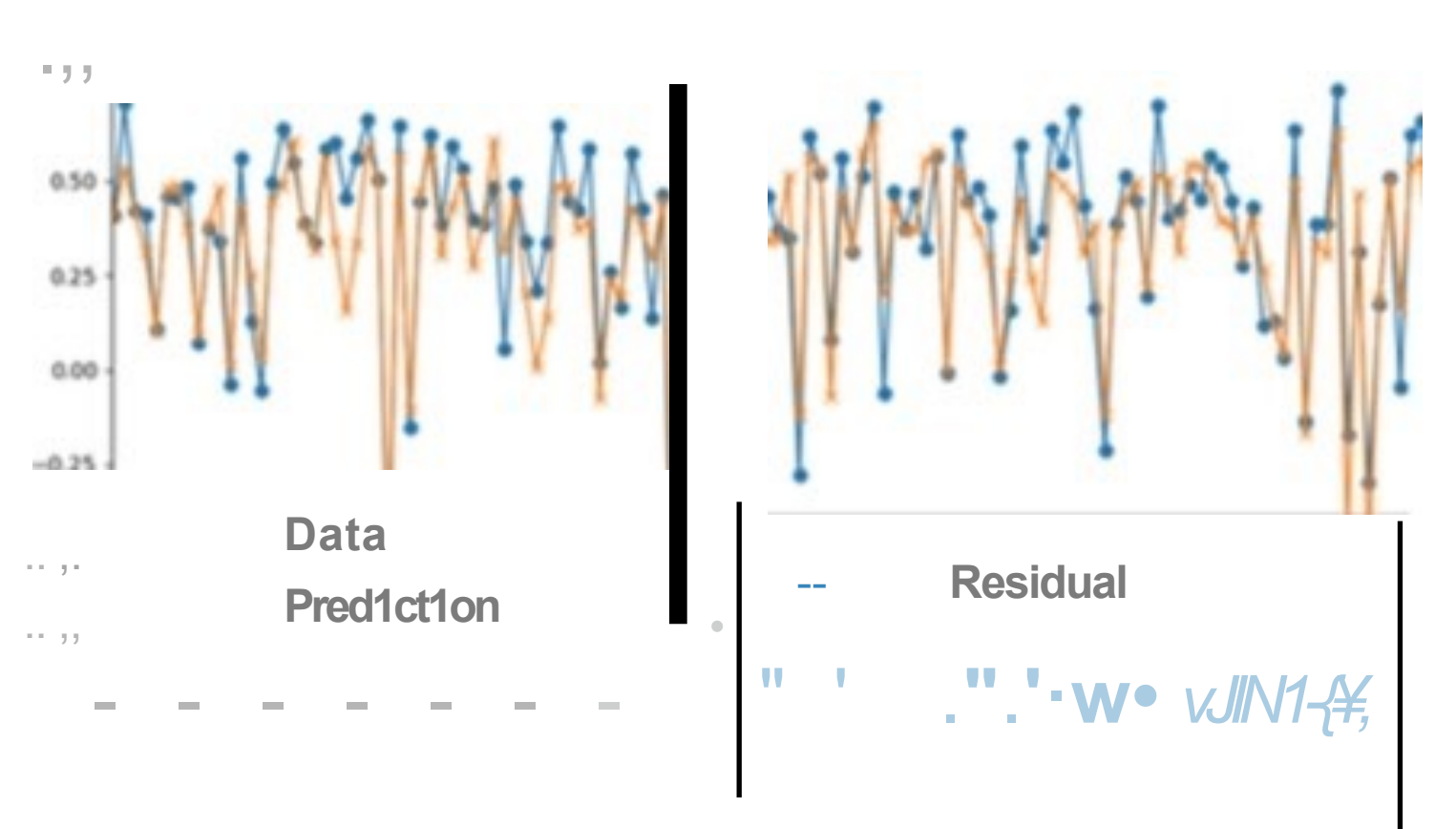
O.G. Shpyrko, PhD Thesis, Harvard 2005



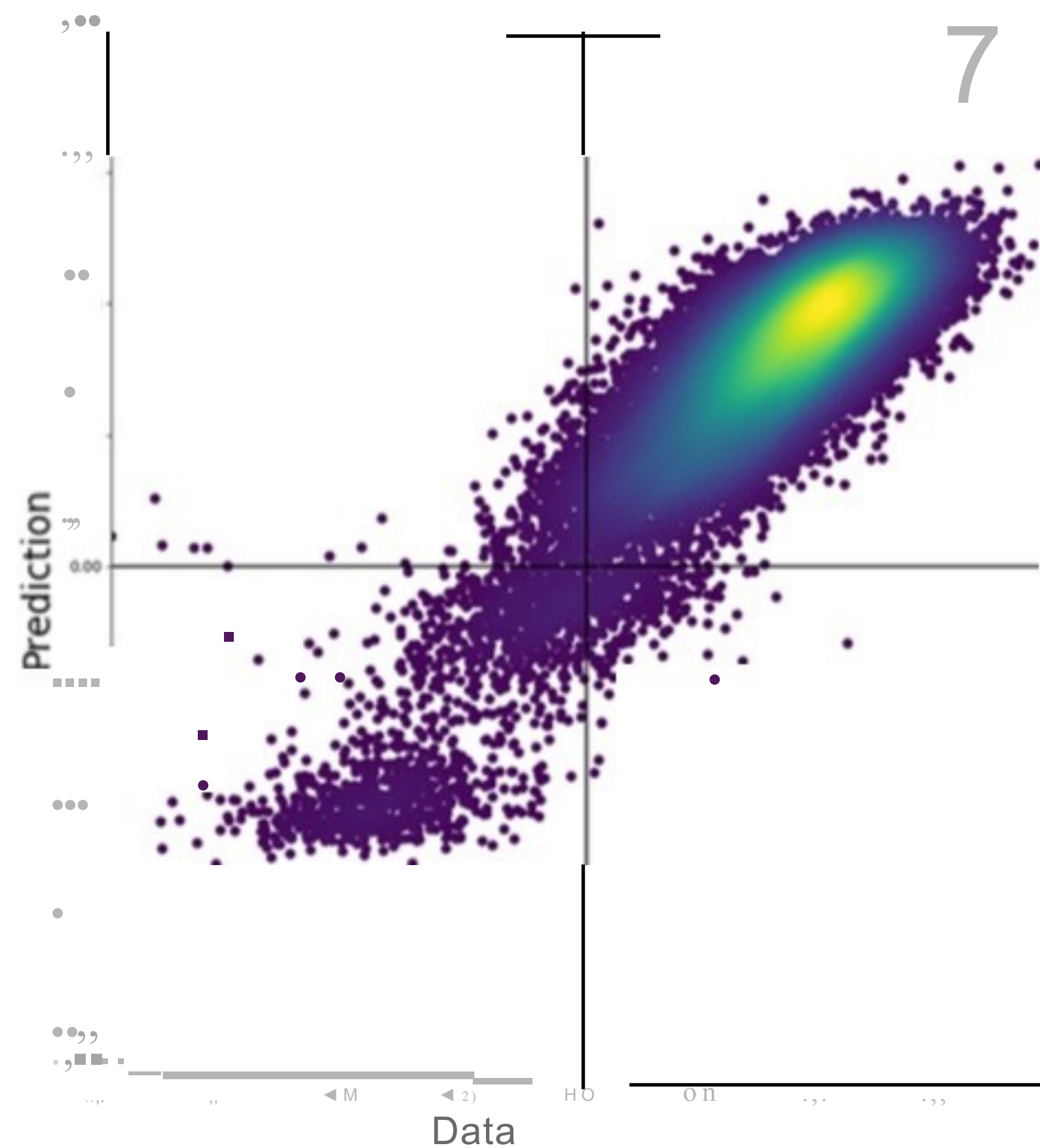
SwissFEL Pump-Probe Delay Prediction using ML

Sven Augustin - PSI Fellow (LSF)

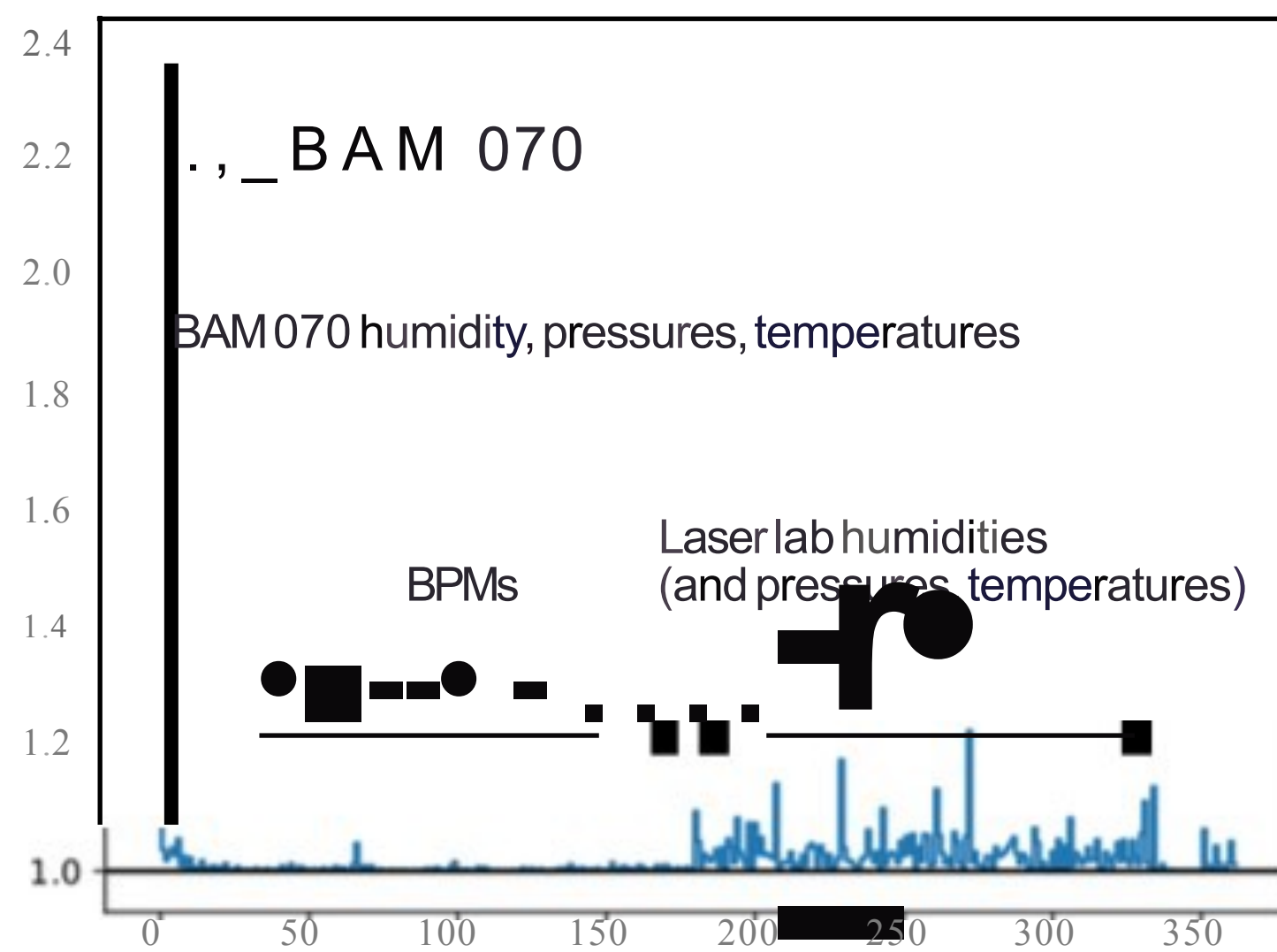
Trends are followed with tiny residual:



Input and output nicely correlated



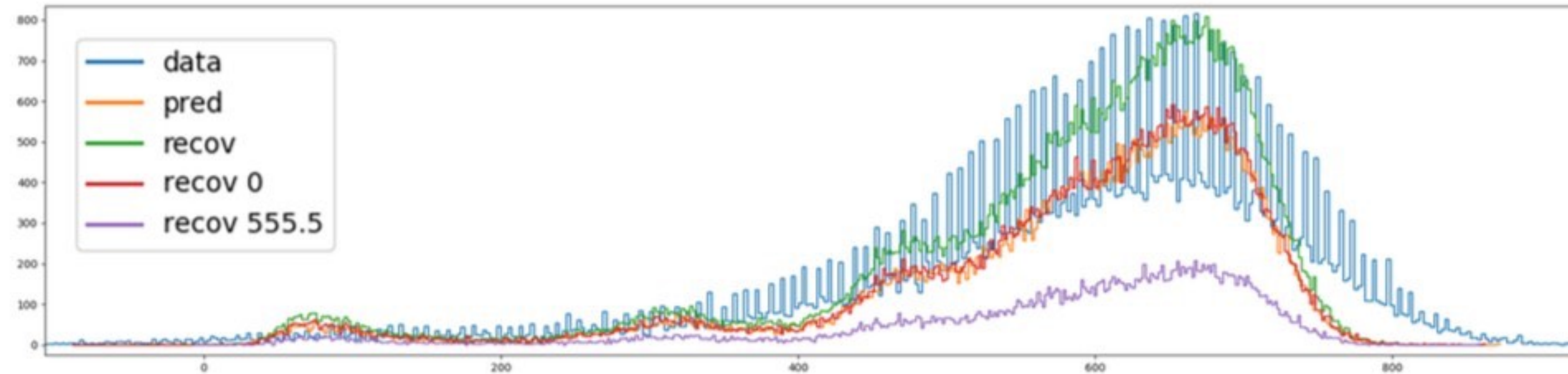
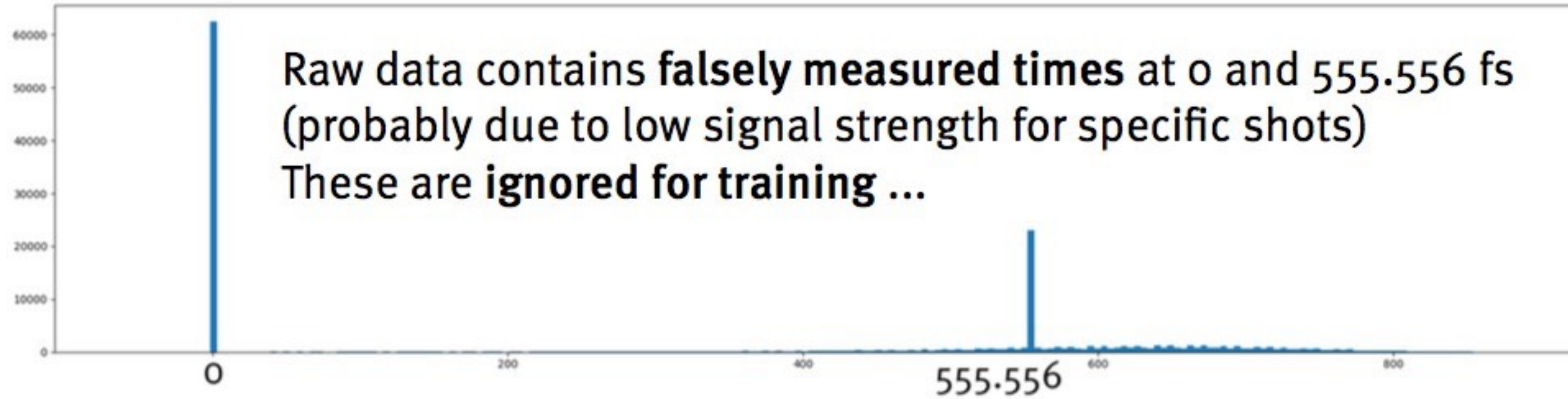
Feature Importance



In collaboration with A.Adelmann (LSM) and C.Bostedt (LSF)

SwissFEL Pump-Probe Delay Prediction using ML

Sven Augustin – PSI Fellow (LSF)



... and **predicting for these points** yields distributions similar to the input!

→ Model **recovers** false measurements for low intensity!

(which is about half of the data in this data set)

SUMMARY

- ▶ Use machine learning...
 - ▶ ...when you have lots of data, and the algorithm to analyze it is not obvious
 - ▶ ...when you have pre-classified cases (be it from simulations, from other detectors, or from manual classification)
 - ▶ ...when speed matters
 - ▶ ...when other methods are more effort, or more expensive

- ▶ ML is easy and cheap

THANK YOU

- ▶ Andreas Adelman
- ▶ Andreas Krause
- ▶ Andreas Streun
- ▶ Auralee Edelen
- ▶ Benedikt Hermann
- ▶ Elena Fol
- ▶ Giulio Gaio
- ▶ Jelena Vučković
- ▶ Jochem Snuverink
- ▶ Johannes Kirschner
- ▶ Neil Sapra
- ▶ Nicole Hiller
- ▶ Peter Wienemann
- ▶ Raimund Kammering
- ▶ Sven Augustin