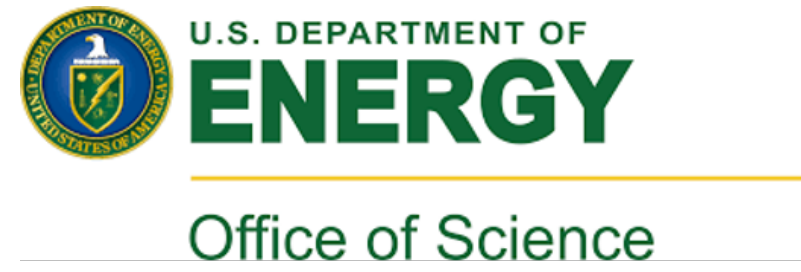
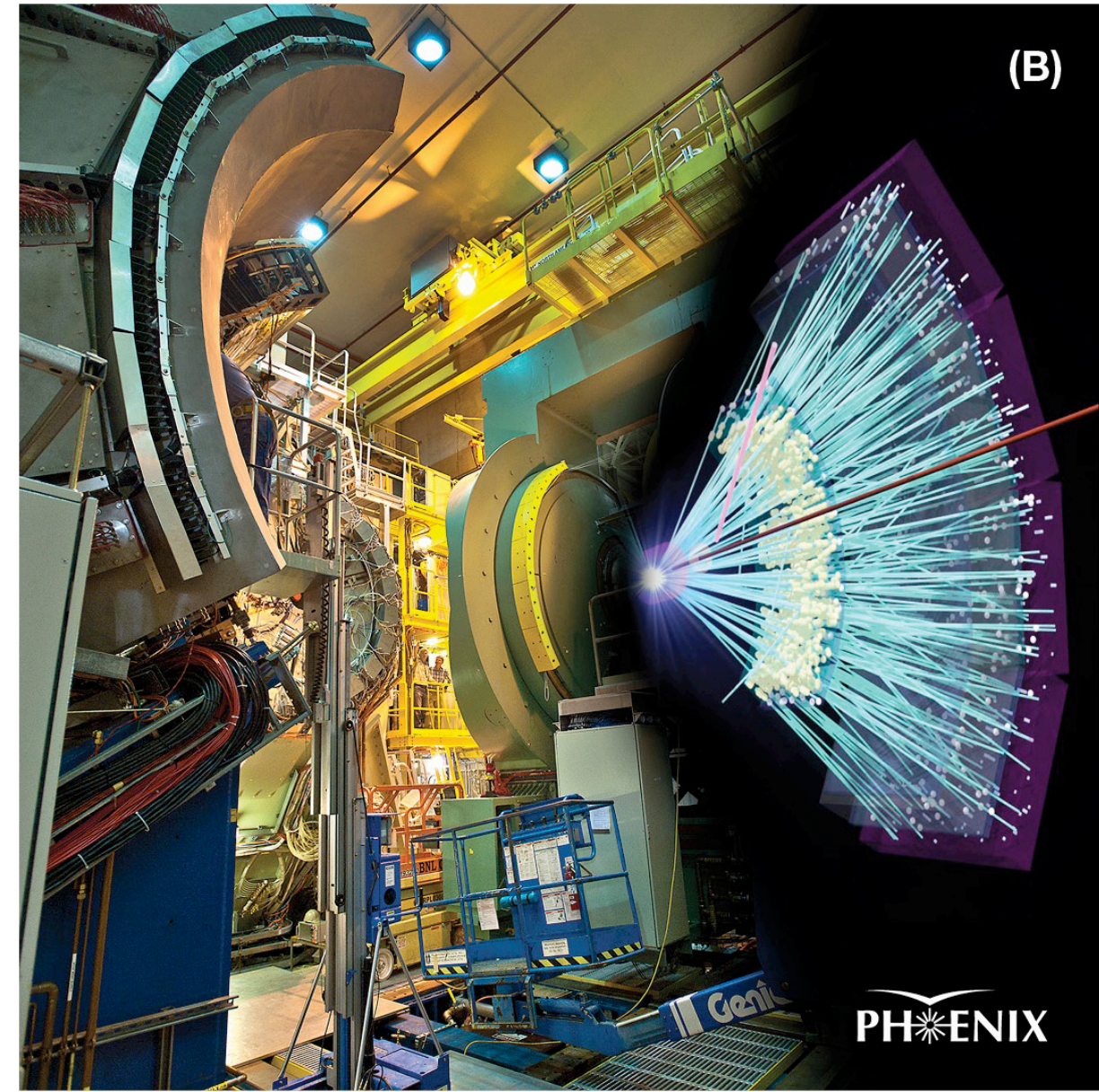


(A)

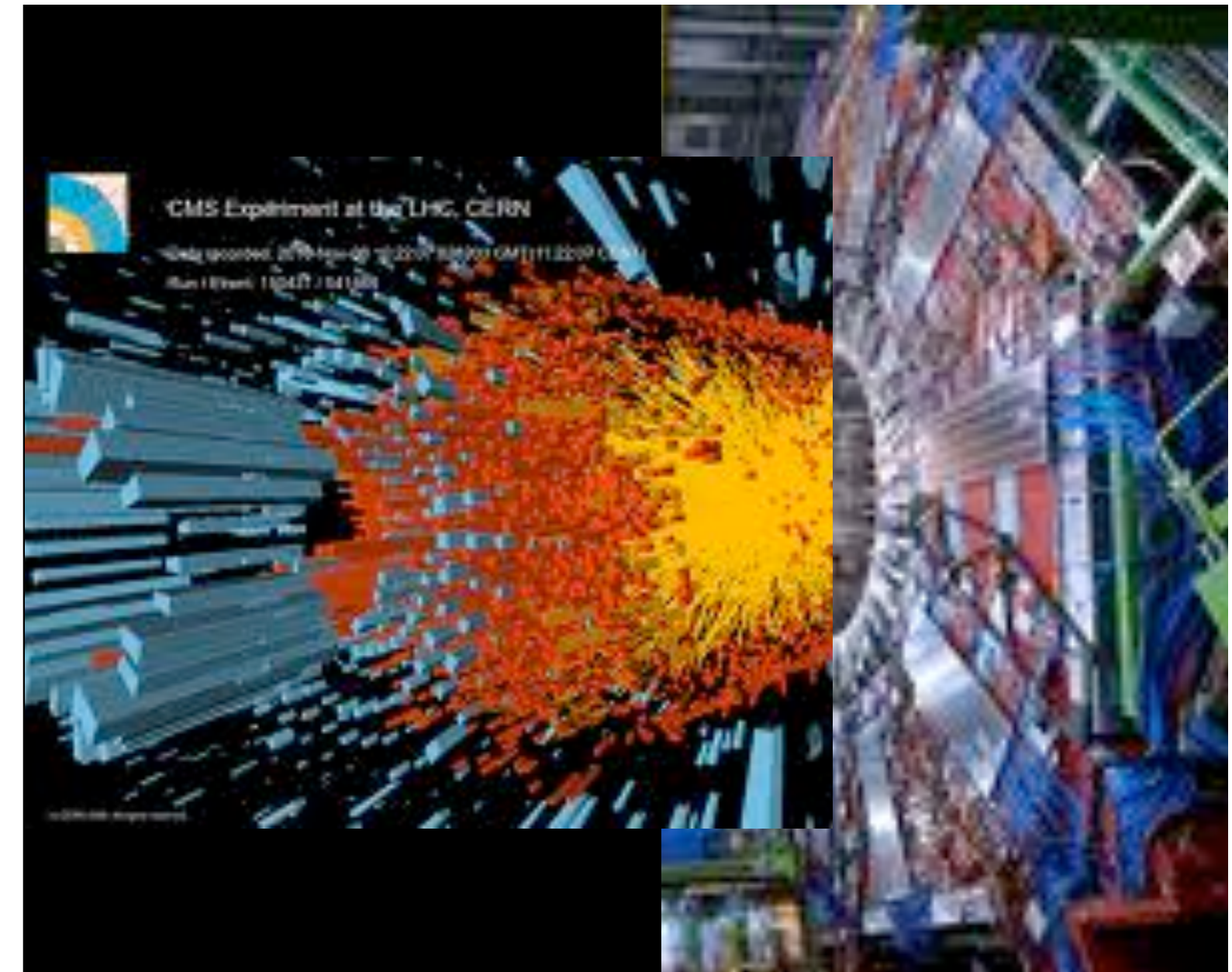
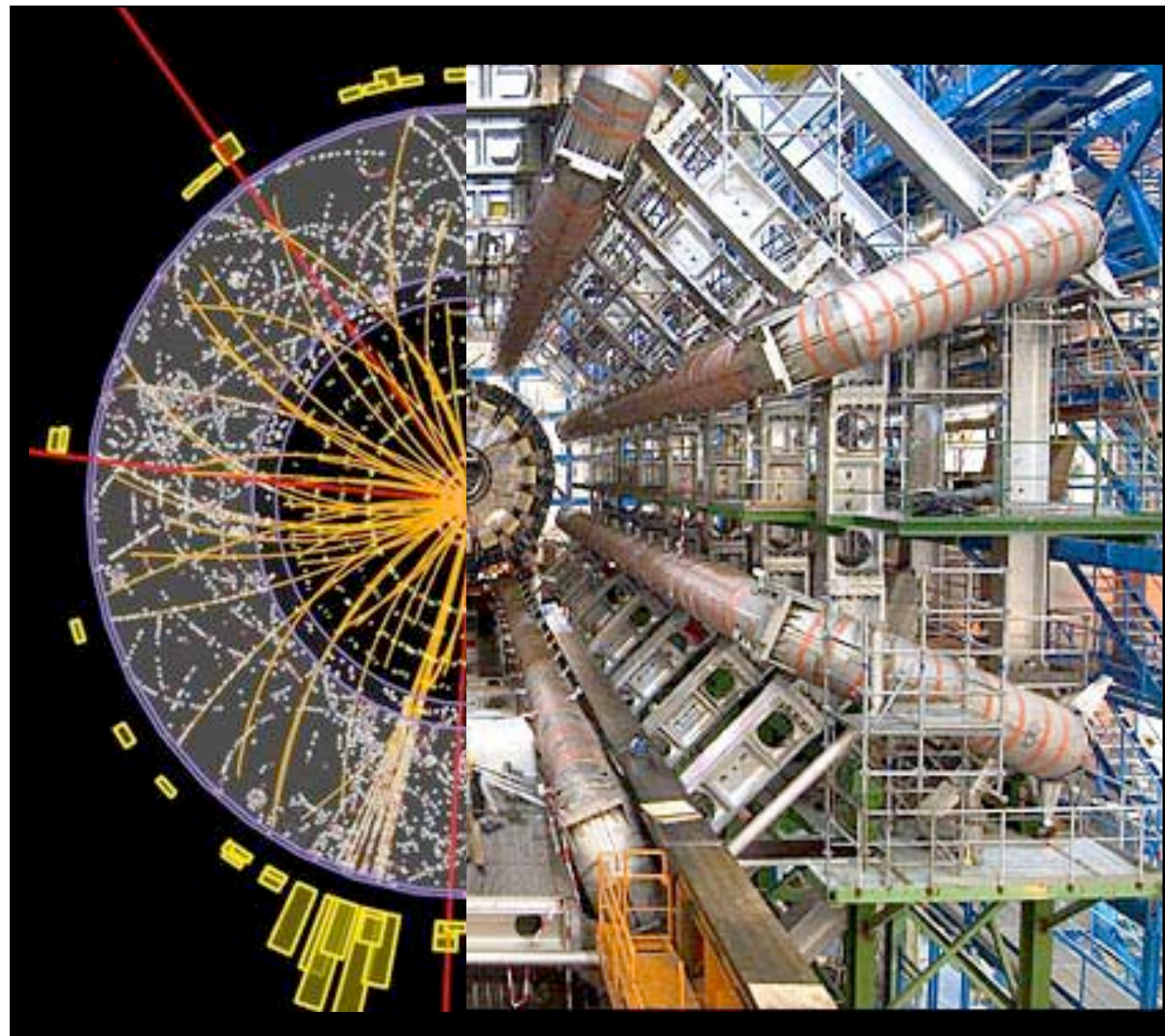
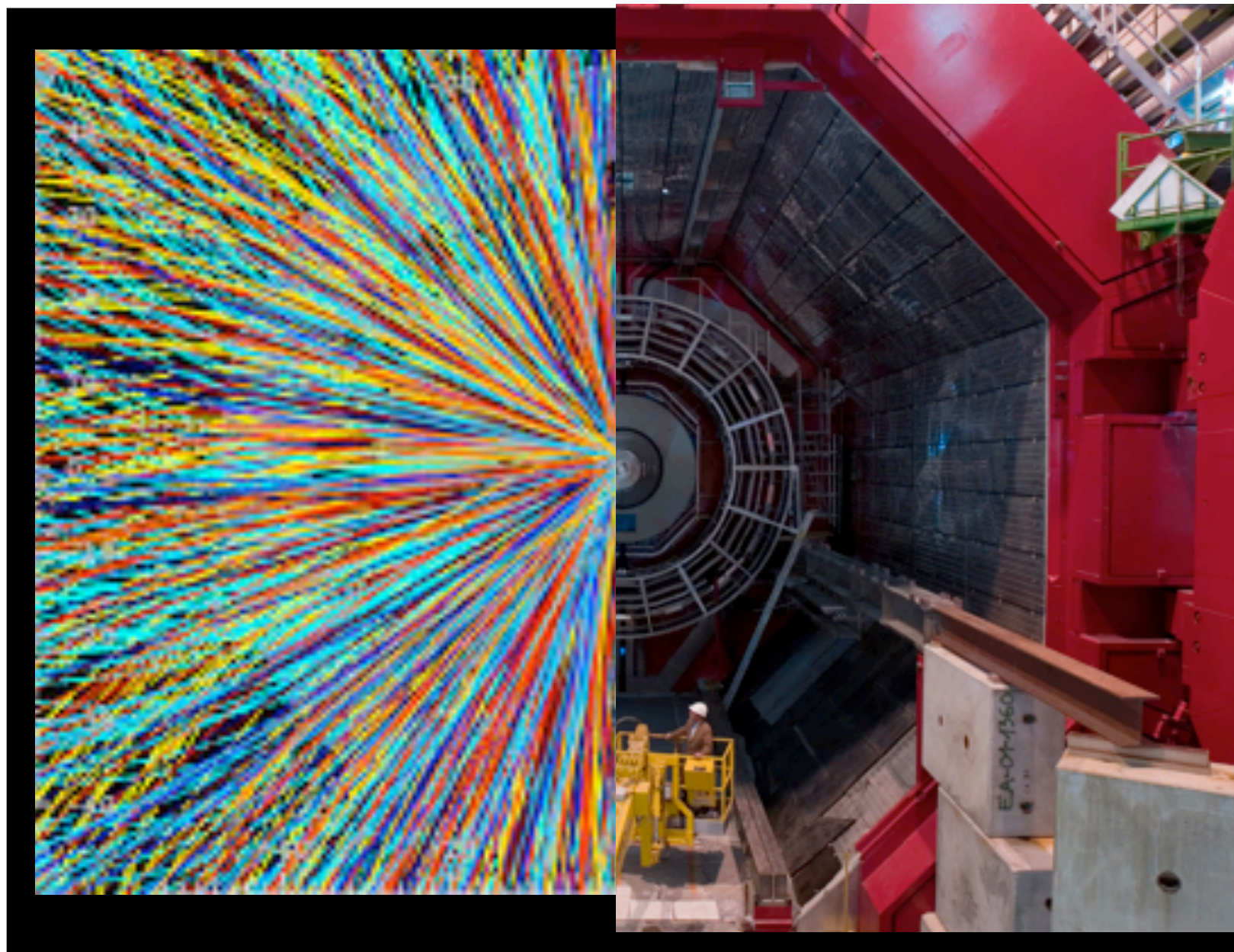


Hot QCD: Heavy ion physics at RHIC and the LHC

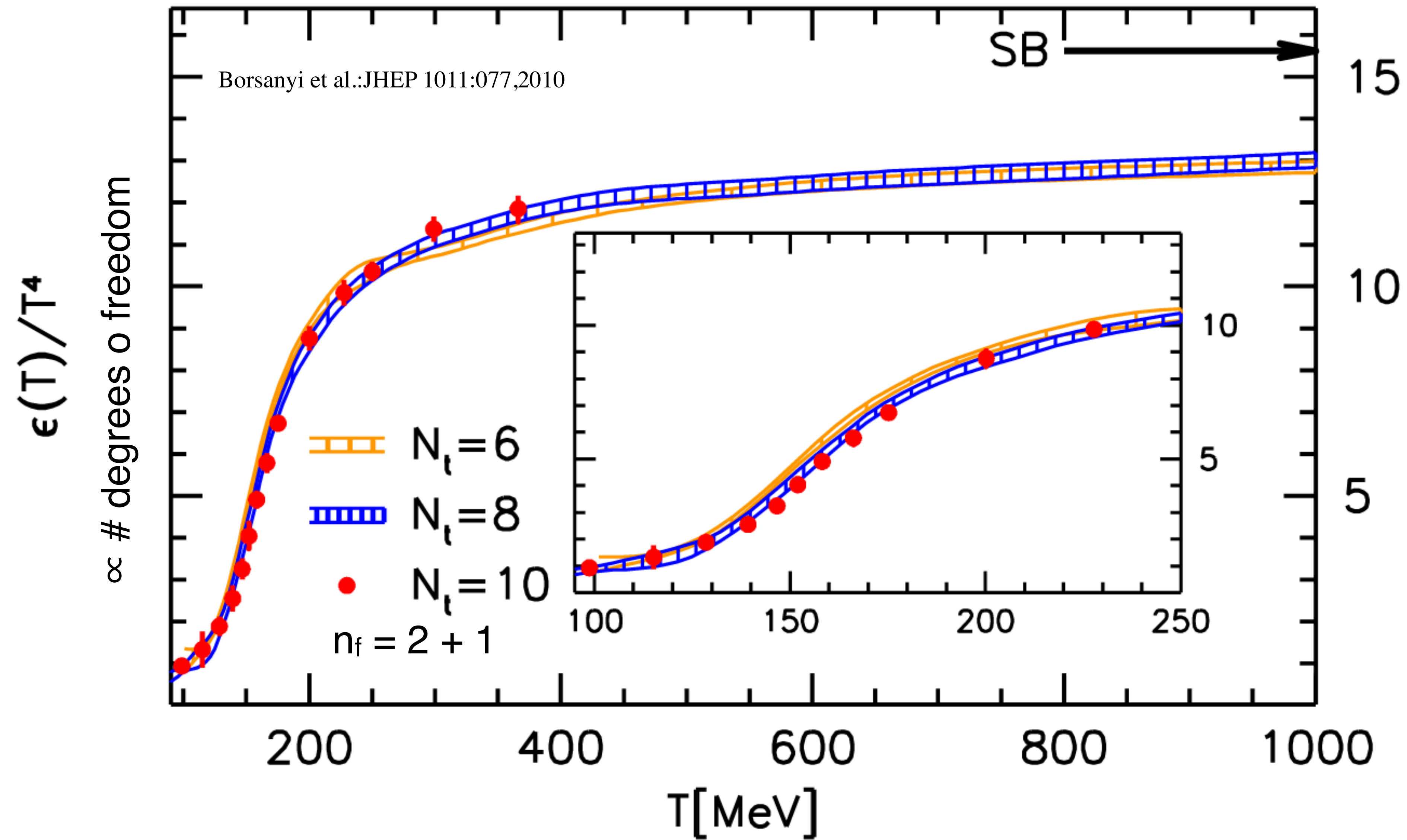
Helen Caines (she/her), Wright Lab, Yale University



(B)



Goal of Hot QCD in a nutshell

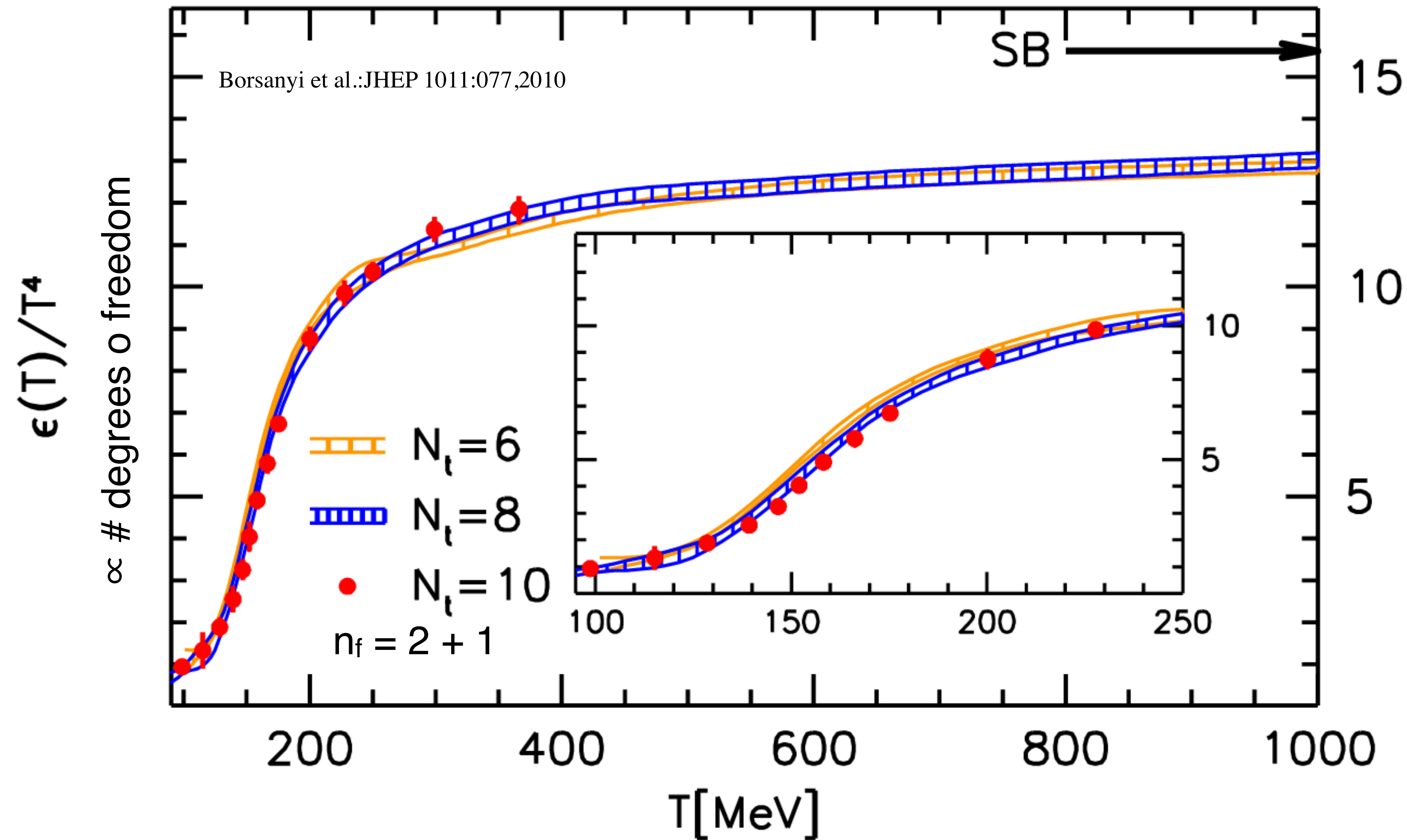


Number of degrees of freedom increases by factor 10 at $T \sim 150$ MeV \rightarrow quarks and gluons

Lattice calculations: rapid smooth crossover at $\mu_B \sim 0$

$$T_{pc} \approx 156.5 \pm 1.5 \text{ MeV}$$

Goal of Hot QCD in a nutshell



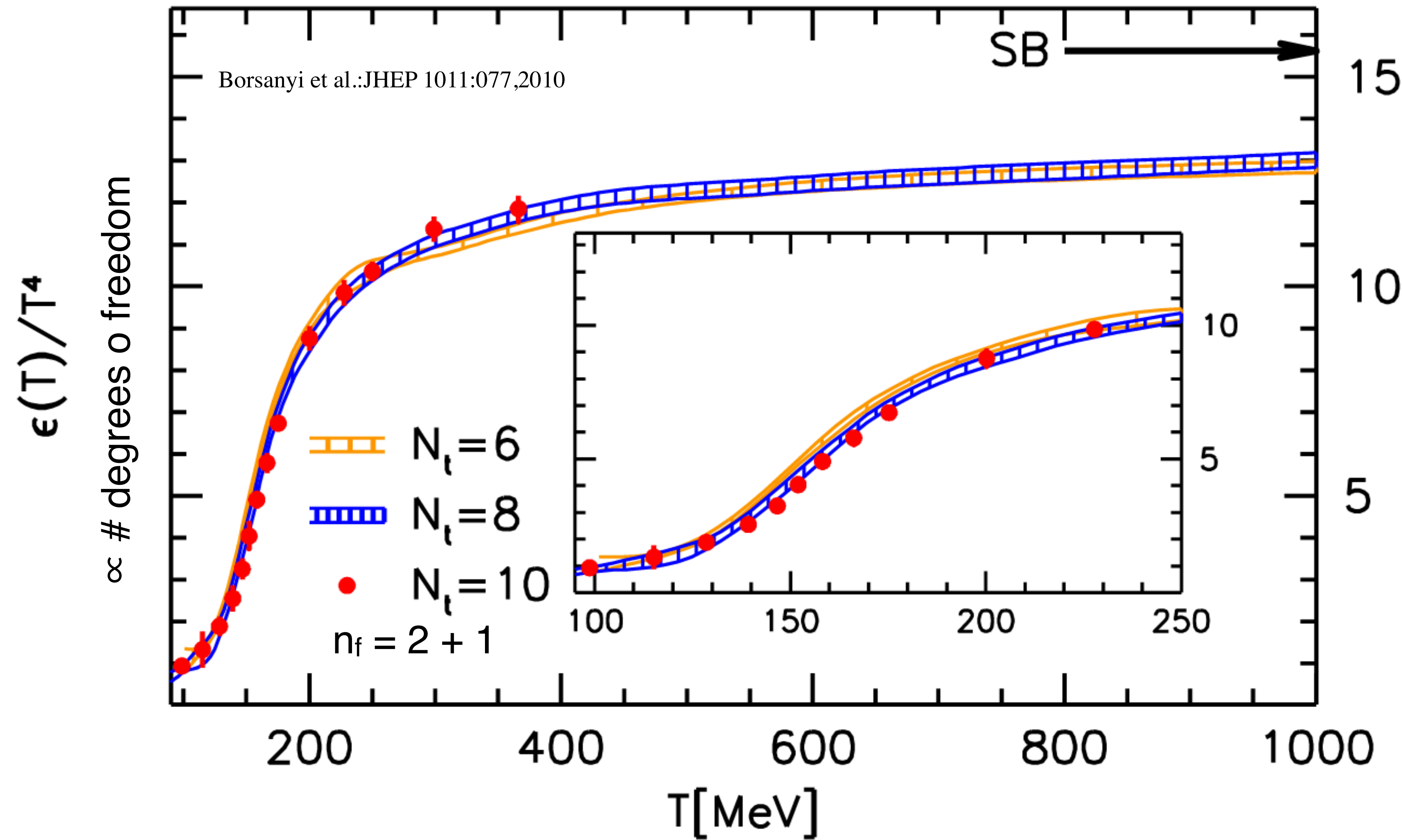
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Goal of Hot QCD in a nutshell



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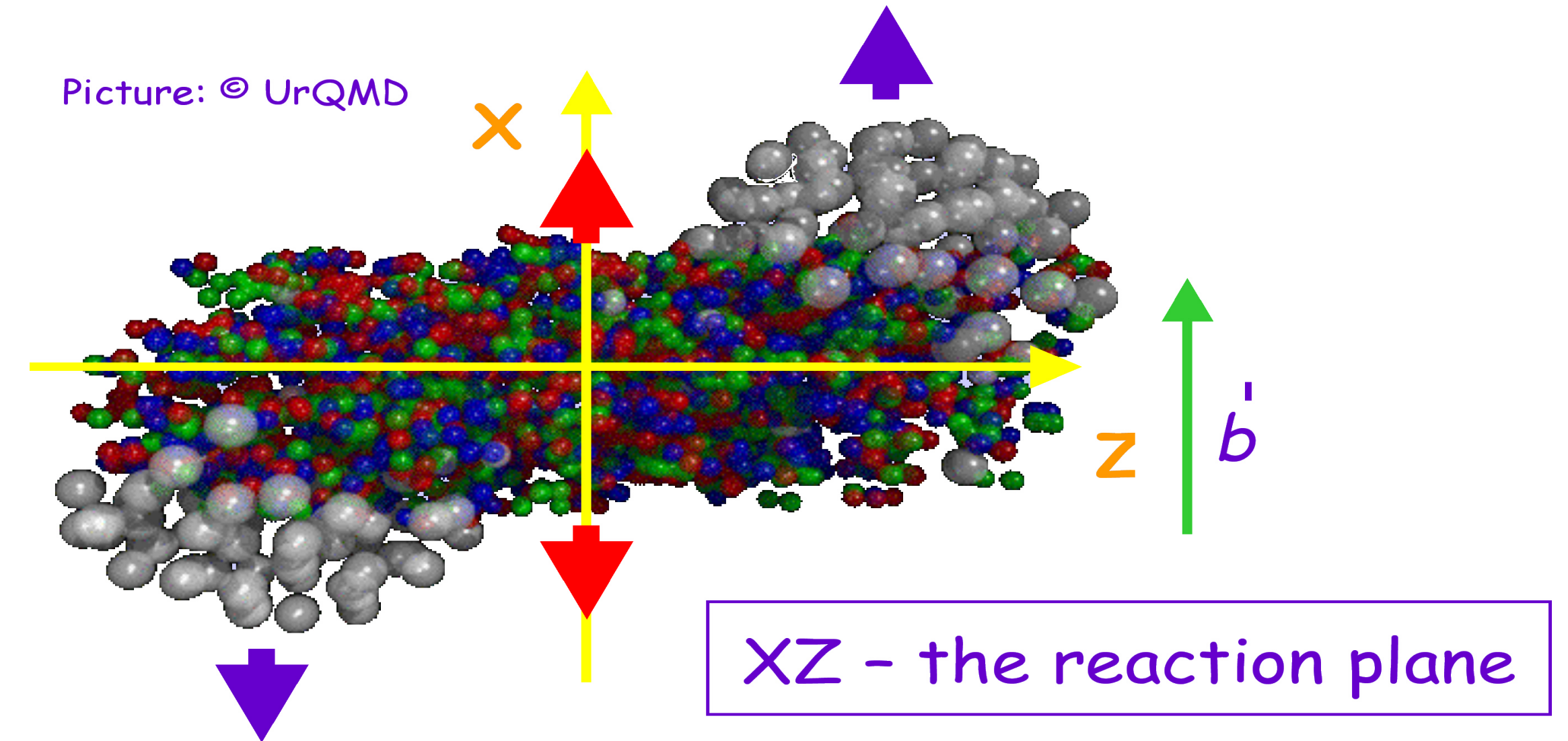
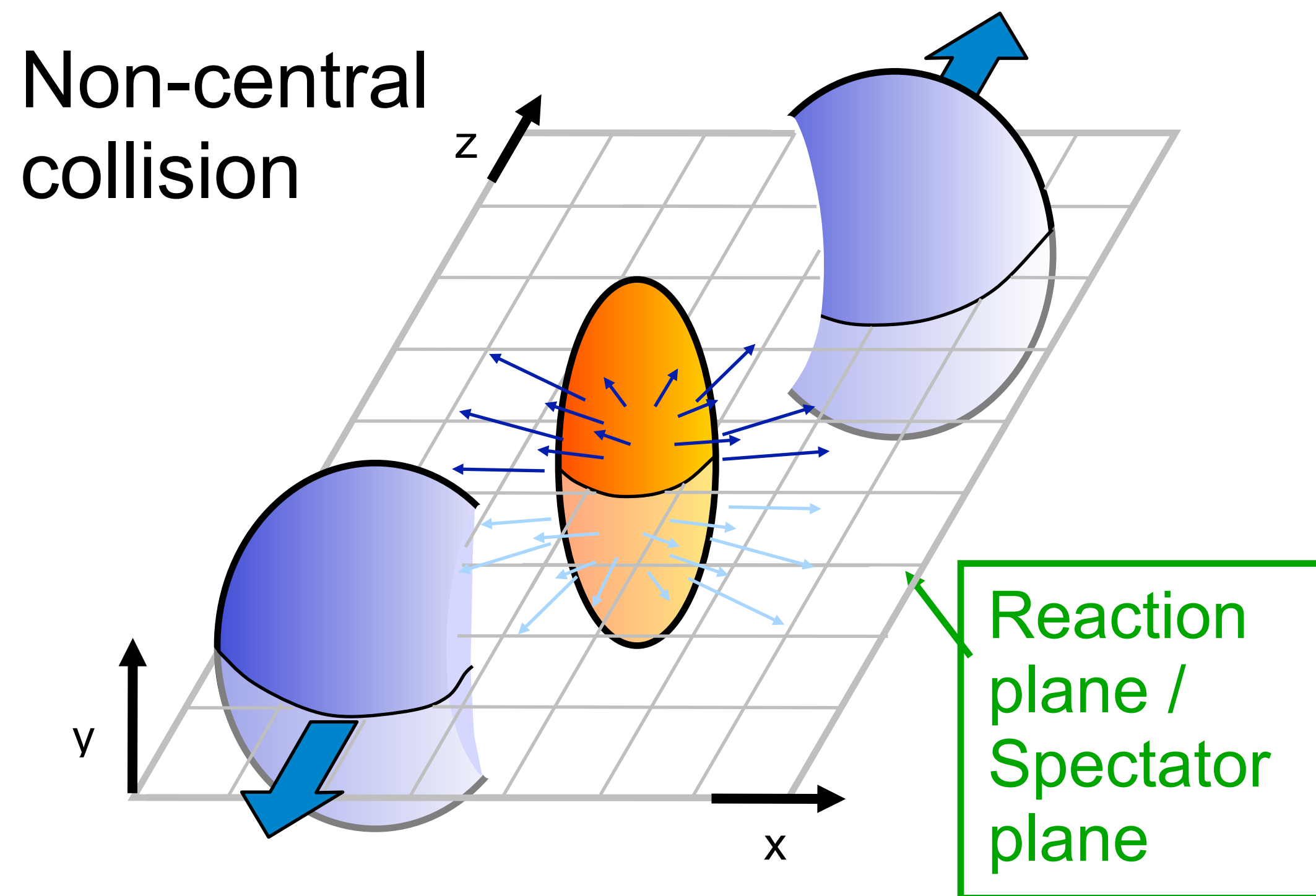
Lattice calculations: rapid smooth crossover at $\mu_B \sim 0$

$$T_{pc} \approx 156.5 \pm 1.5 \text{ MeV}$$

$$\epsilon_{pc} \approx 0.70 \text{ GeV/fm}^3$$

Such conditions can be created in Heavy Ion collisions at RHIC and LHC

Terminology of a heavy-ion collision



“peripheral” collision ($b \sim b_{\max}$)
“central” collision ($b \sim 0$)

Number of participants (N_{part}):

number of incoming nucleons (participants) in overlap region

Number of binary collisions (N_{bin}):

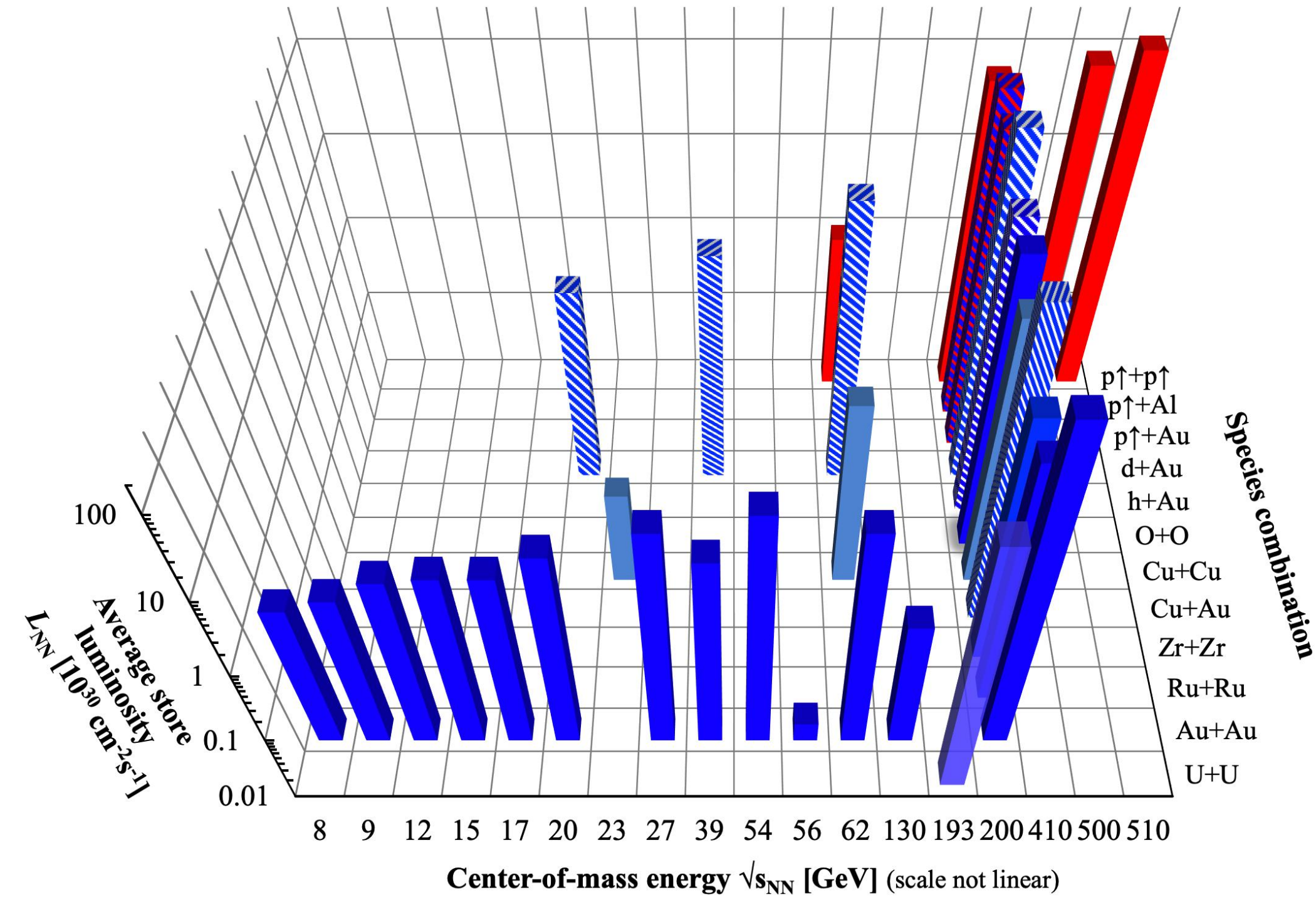
number of equivalent inelastic nucleon-nucleon collisions

$$N_{\text{bin}} \geq N_{\text{part}}$$

More central collisions produce more particles

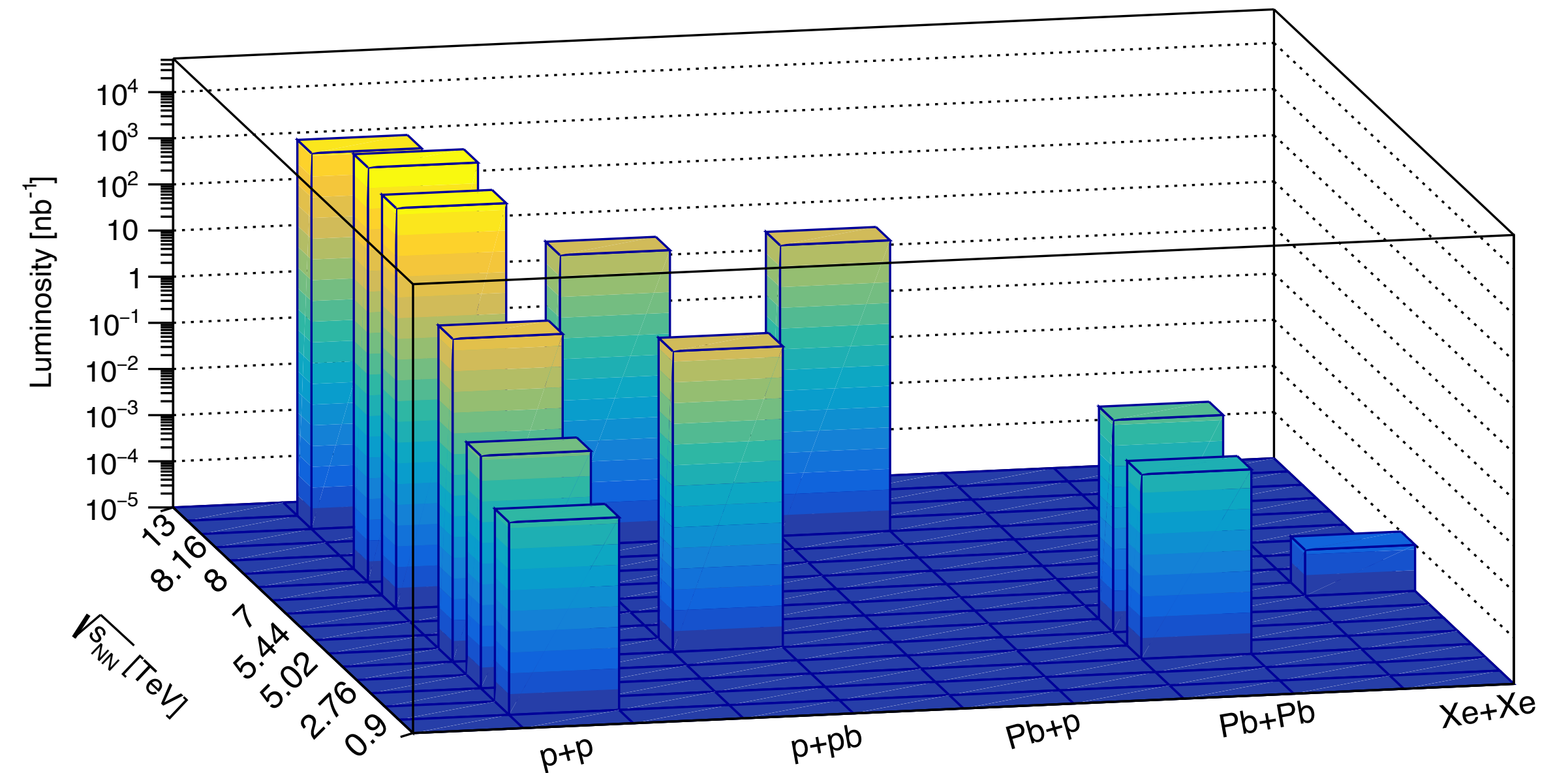
Wealth of data available

RHIC energies, species combinations and luminosities (Run-1 to 22)



RHIC (beam energy scan, different nuclei):
 U+U, Au+Au, Ru+Ru, Zr+Zr, Cu+Cu, O+O,
 Cu+Au, He³+Au, d+Au, p+Au, p+Al, p+p
 Mostly at 200 GeV but Au+Au from 3-200 GeV

LHC Beams@ALICE Run 1 and 2 (2009-2017)



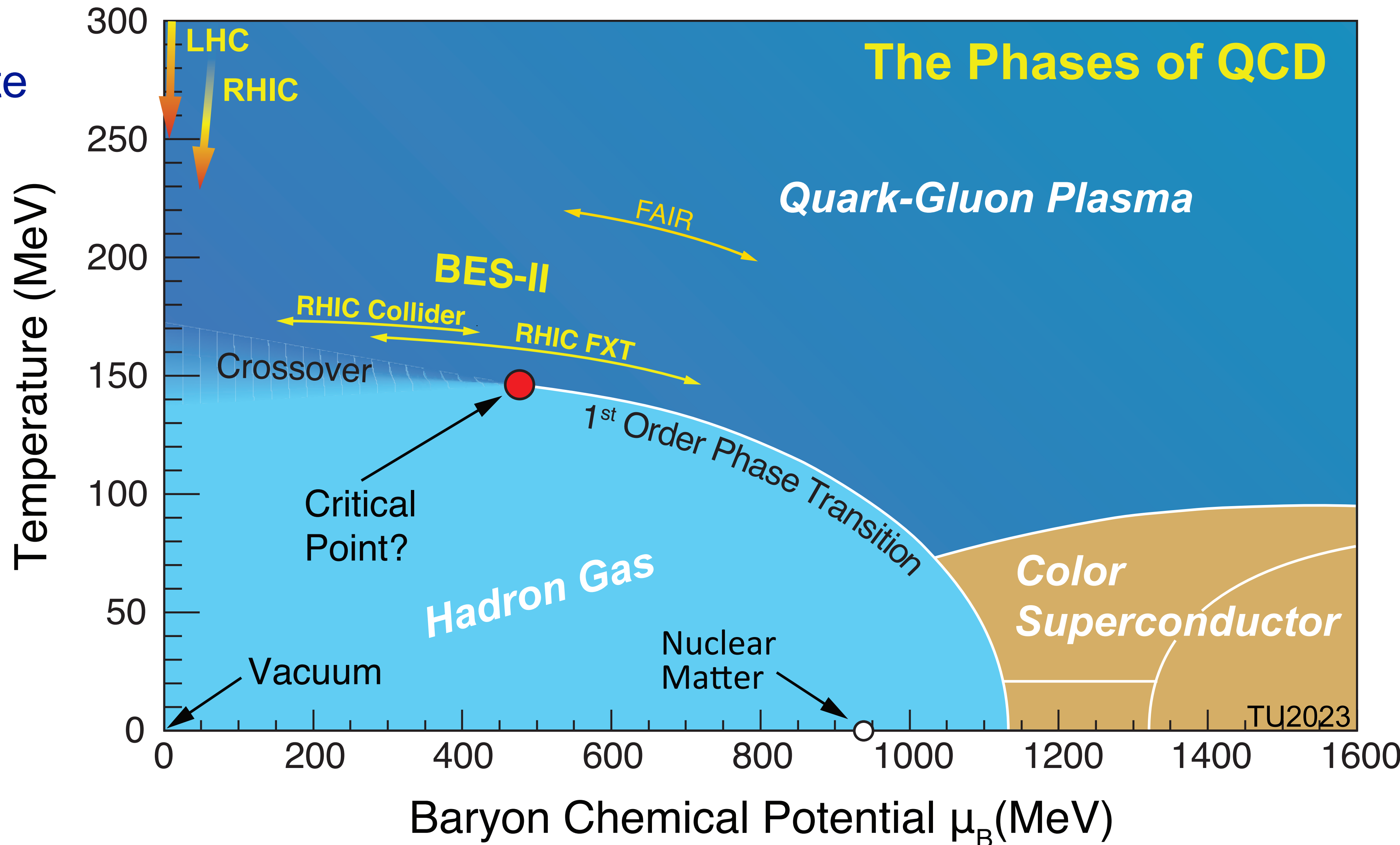
LHC (top energy, rare probes):
 Pb+Pb, Xe+Xe, p+Pb, p+p
 For Pb+Pb mostly at 5.02 TeV
 HUGE datasets
 (significantly bigger at ATLAS and CMS)

Complimentary datasets

The phase diagram of QCD

Cross-over at low μ_B

Very hard to extrapolate off $\mu_B = 0$ axis



The phase diagram of QCD

Cross-over at low μ_B

Very hard to extrapolate off $\mu_B = 0$ axis

Disfavor QCD critical point at $\mu_B/T < 3$

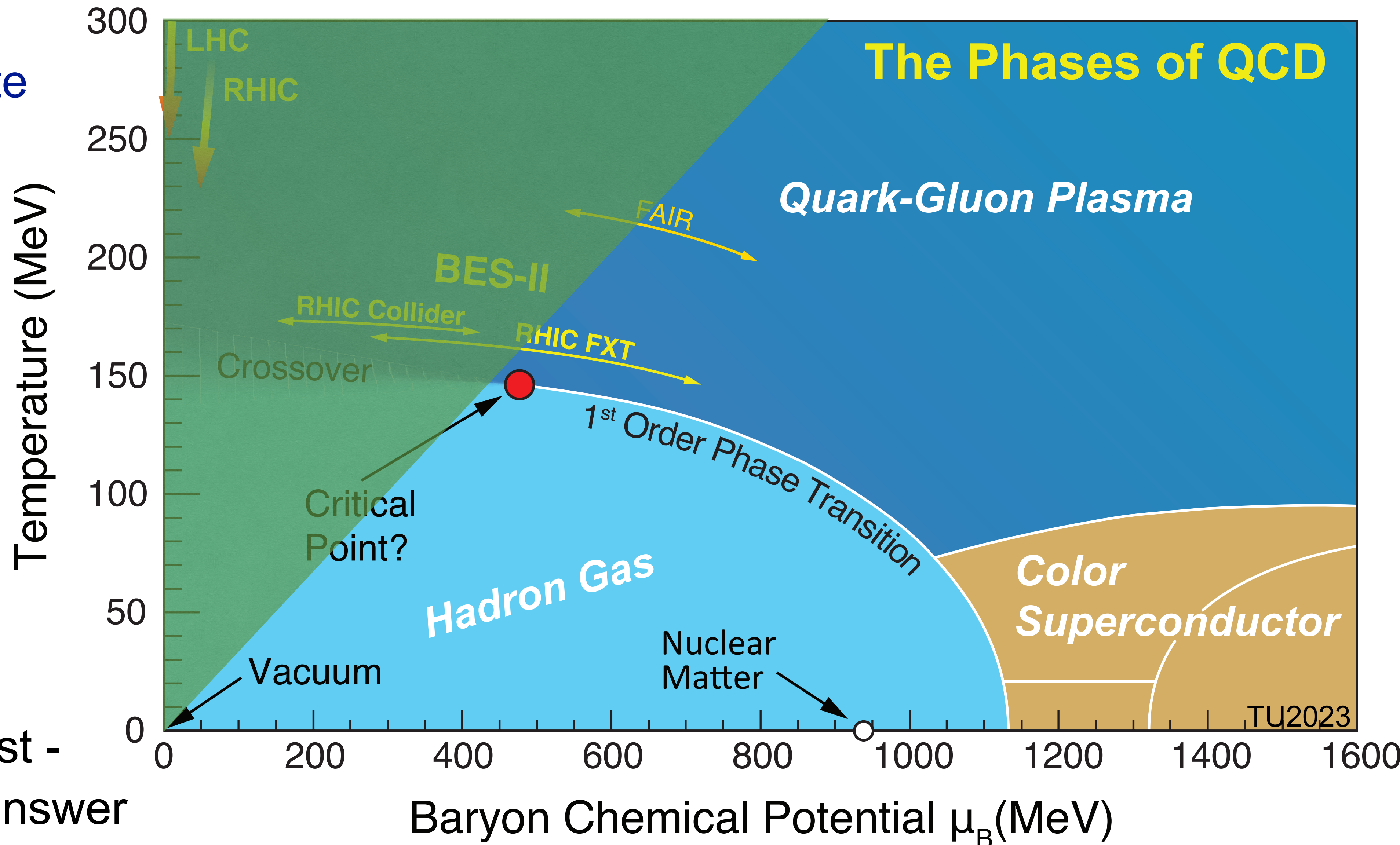
Several calculations settling on CP at

$T \sim 90-100$ MeV

$\mu_B \sim 500-600$ MeV

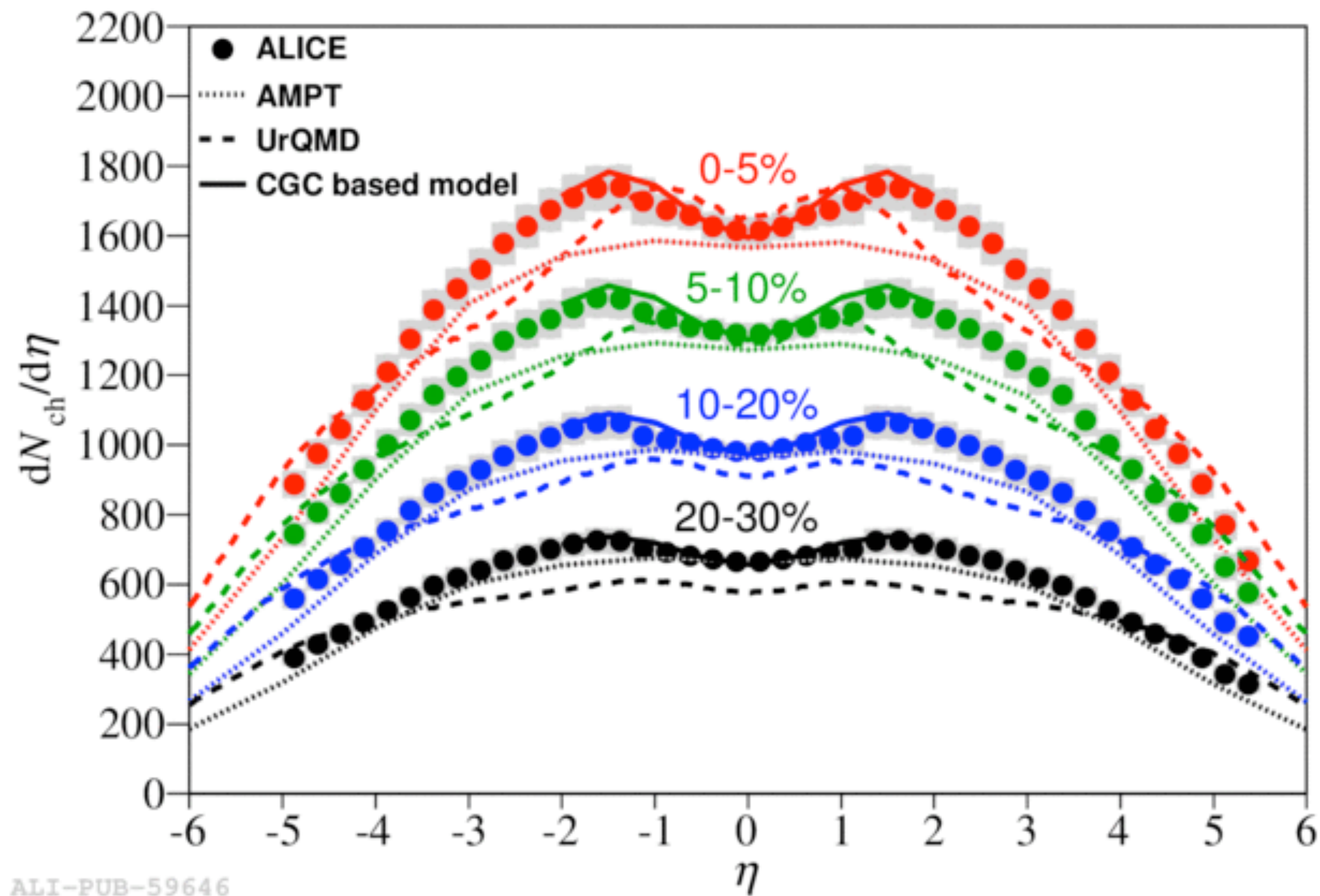
$\sqrt{s_{NN}} = 3-5$ GeV

CP might also not exist -
needs experimental answer



Do we create the necessary initial conditions?

Energy density in central collisions

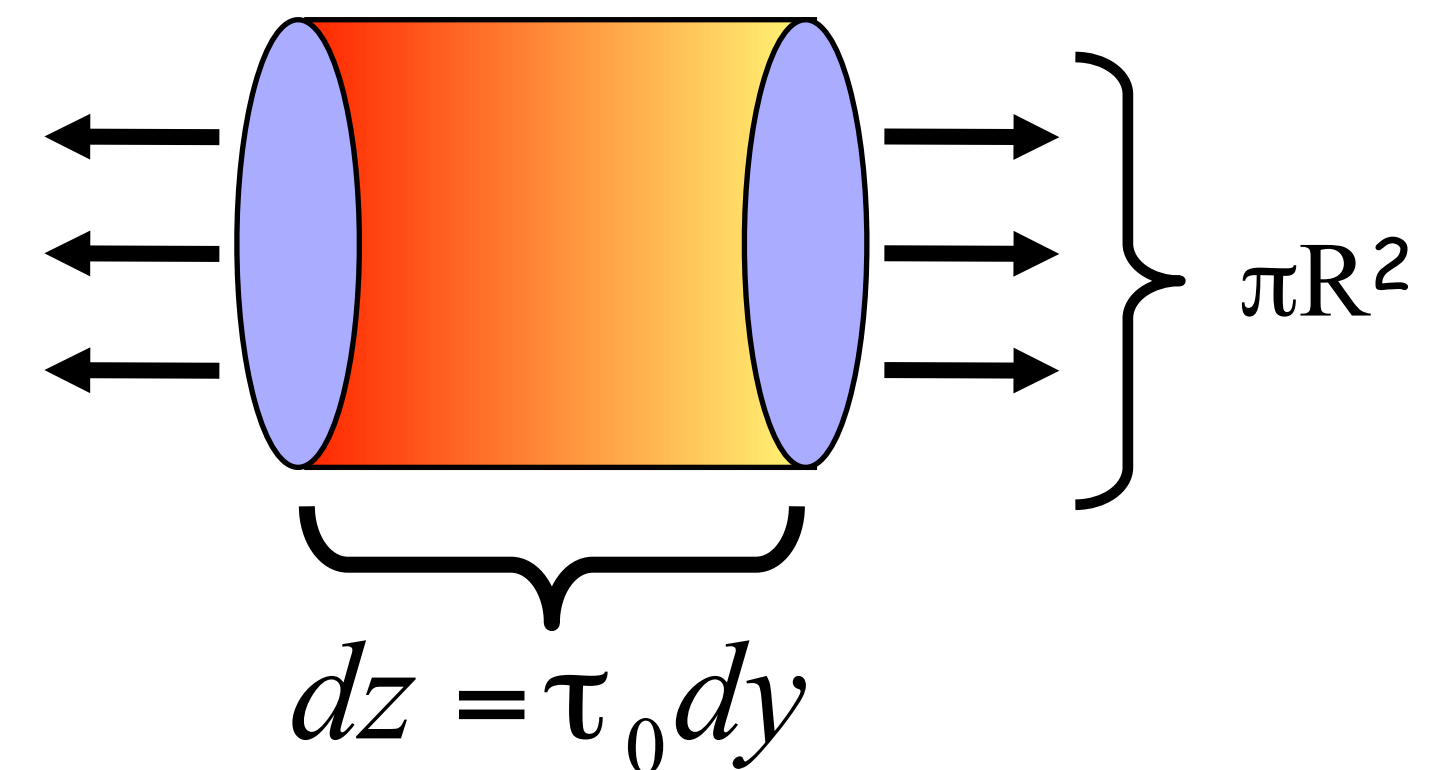


Bjorken-Formula for Energy Density:

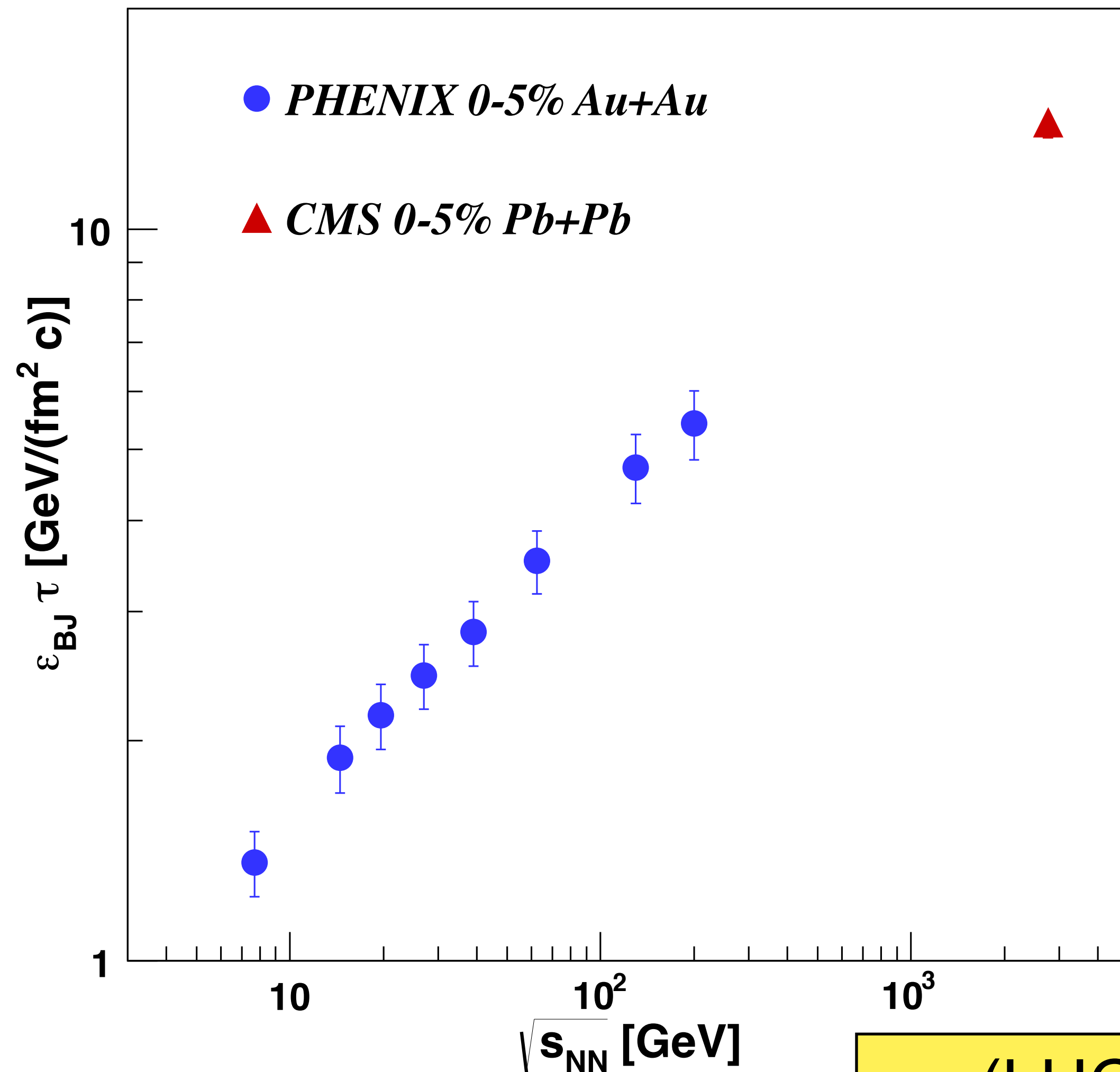
$$\epsilon_{Bj} = \frac{\Delta E_T}{\Delta V} = \frac{1}{\pi R^2} \frac{1}{\tau_0} \frac{3}{2} \frac{dN_{ch}}{d\eta} \langle p_T \rangle$$

Radius of medium
 $R \sim 7$ fm

Time it takes to thermalize system



Energy density in central collisions



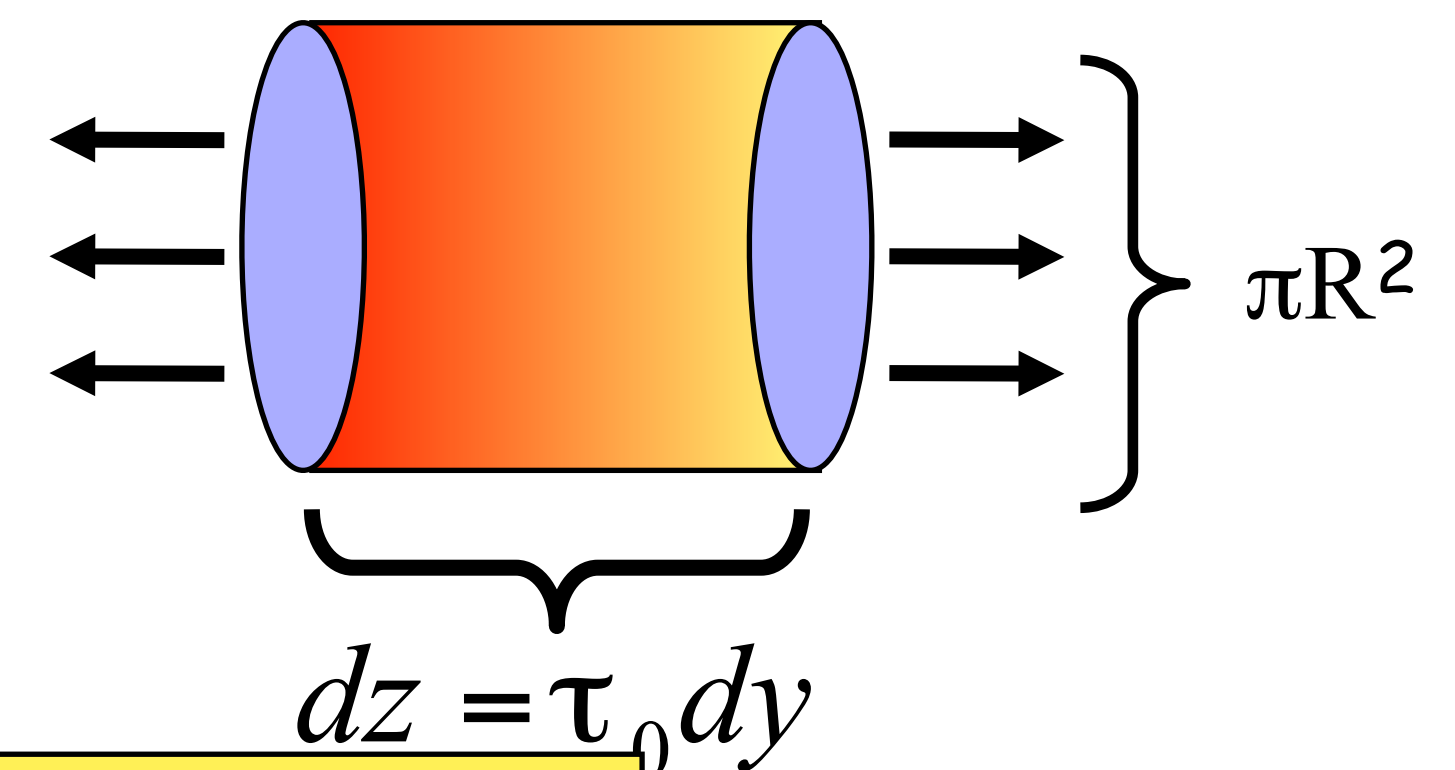
$\langle p_T \rangle \sim 650$ MeV
 $\tau_0 \sim 1$ fm

Bjorken-Formula for Energy Density:

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Radius of medium
 $R \sim 7$ fm

Time it takes to thermalize system



ϵ_{BJ} (LHC) ≈ 10 GeV/fm³
 ~ 75 times normal nuclear density
 ~ 15 times $> \epsilon_{critical}$ (lattice QCD)

10 GeV/fm³. Is that a lot?

In a year, U.S.A (known energy hog) uses ~100 quadrillion BTUs of energy (1 BTU raises 1 lb water 1° F = 1 burnt match = 1,055 J). What size cube would you need to pack this energy into to produce equivalent energy density?

- A. A cube ~1 m high by 100 367 km² (approximately the area of Lapland)?
- B. A cube ~1 cm x ~30 cm x ~20 cm (approximately size of your laptop)
- C. A cube ~1 mm x ~1 mm x ~0.1 mm (approximate size of snowflake)
- D. A cube ~5 μm x ~5 μm x ~5 μm (smaller than cross-section of your hair)

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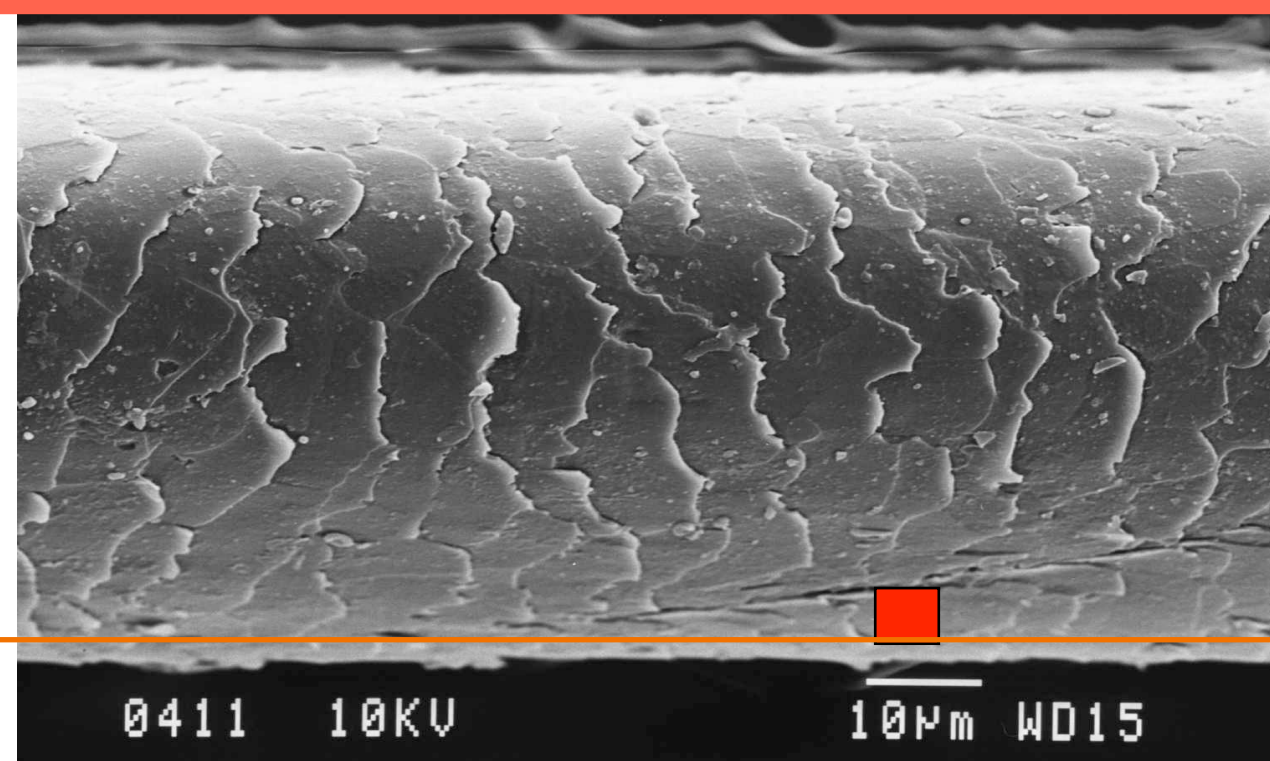
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Temperature of chemical freeze-out

Number of particles of a given species related to temperature

$$dn_i \sim e^{-(E-\mu_B)/T} d^3p$$

Assume all particles described by same temperature T and μ_B

One ratio (e.g., \bar{p} / p) determines μ_B / T :

$$\frac{\bar{p}}{p} = \frac{e^{-(E-\mu_B)/T}}{e^{-(E-\mu_B)/T}} = e^{-2\mu_B/T}$$

A second ratio (e.g., K / π) provides $T \rightarrow \mu$

$$\frac{K}{\pi} = \frac{e^{-E_K/T}}{e^{-E_\pi/T}} = e^{-(E_K - E_\pi)/T}$$

Then all other hadronic ratios (and yields) defined

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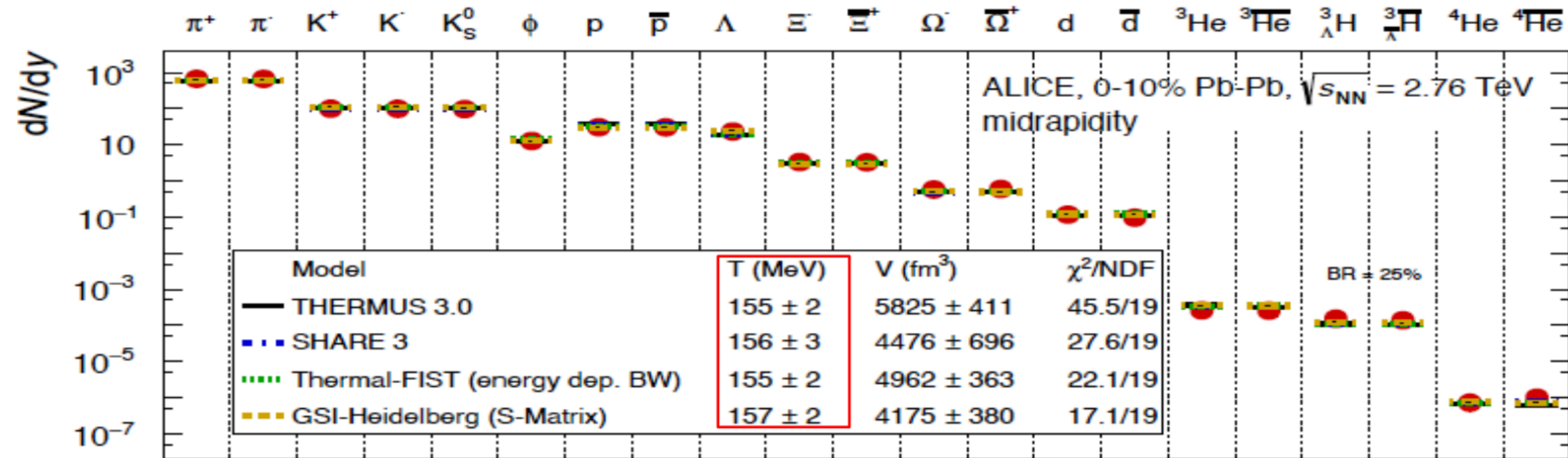
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Chemical Freeze-out temperature T_{ch} close to that of T_{pc} at top energies

But this is the T at which hadronic ratios are fixed.

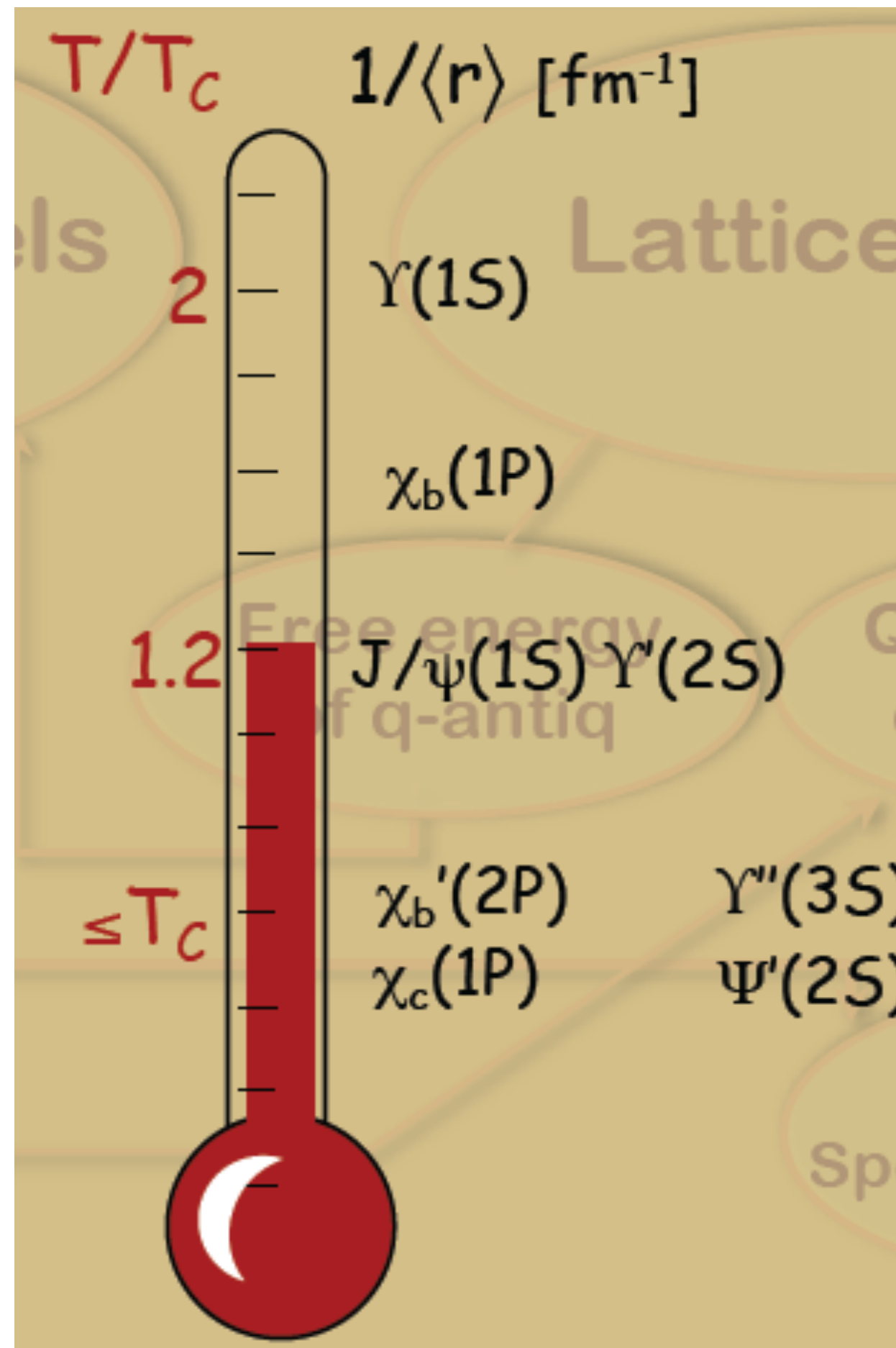
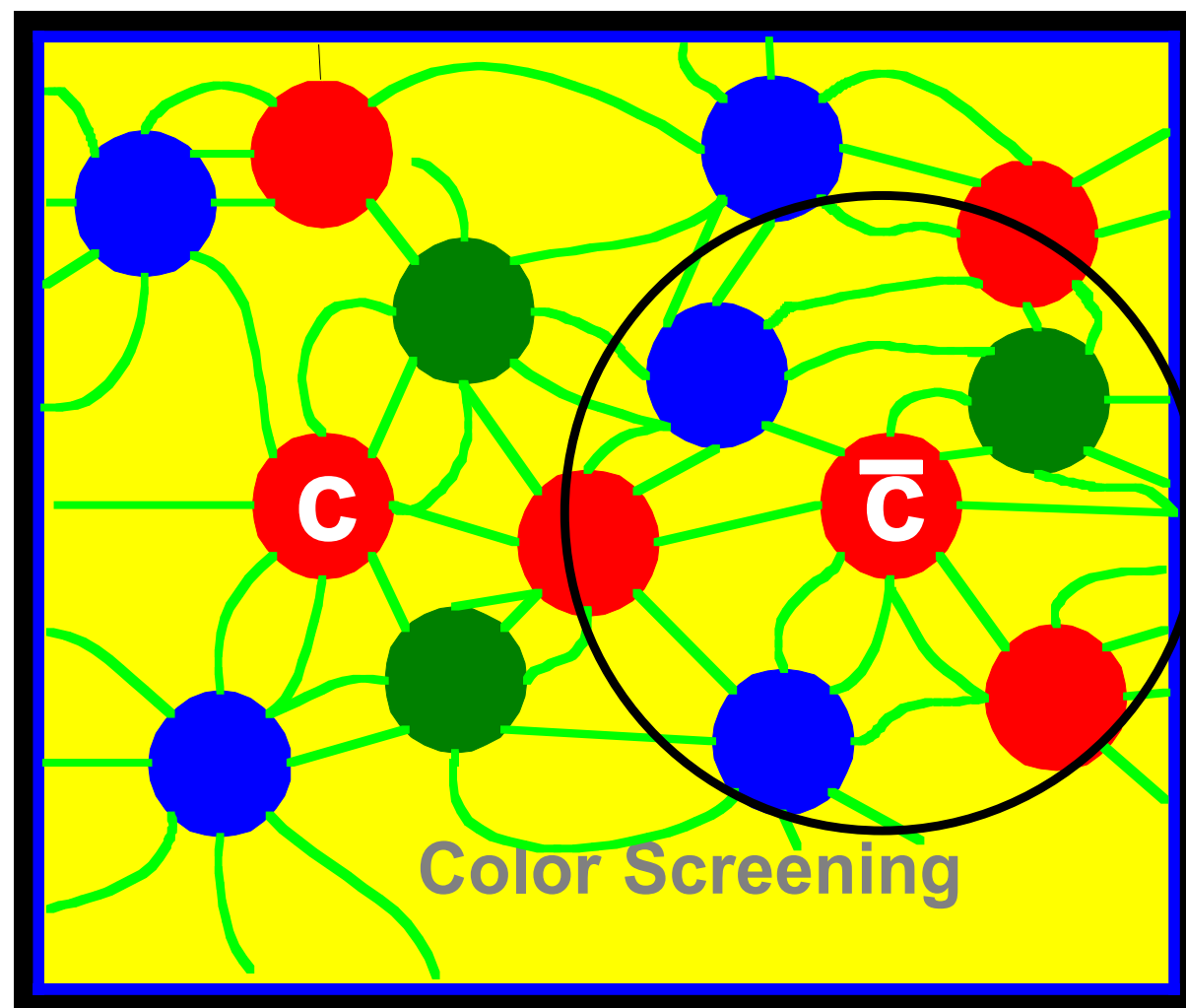
What about initial T ?

Quarkonia - QGP thermometers

Formed only in the very early stages of the collision due to their high masses

Color screening of static potential between heavy quarks

(Matsui and Satz, *PLB* 178 (1986) 416)



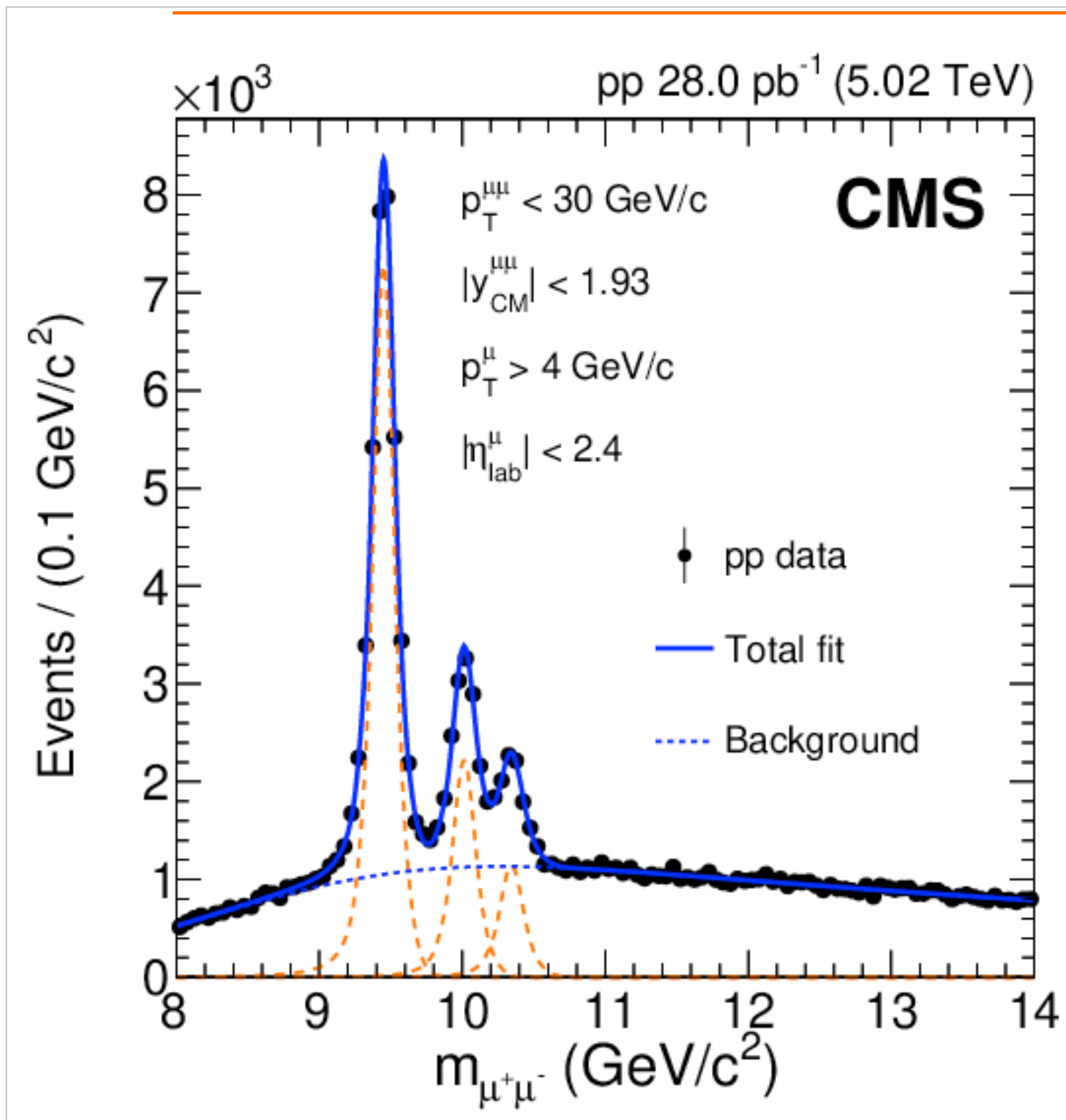
Charmonia: J/ψ , Ψ' , χ_c

Bottomonia: $Y(1S)$, $Y(2S)$, $Y(3S)$

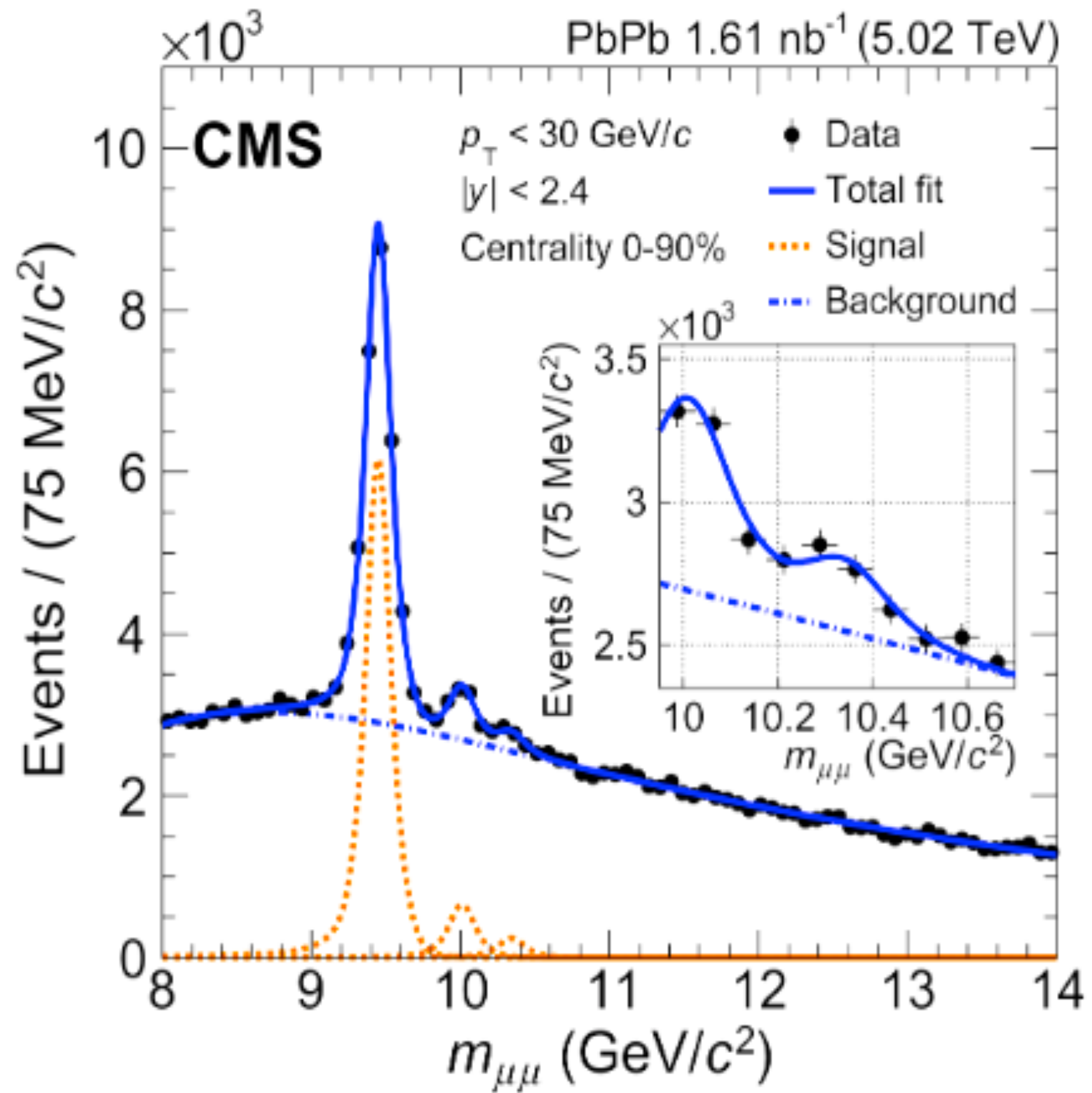
	E_{binding} (GeV)
J/ψ	0.64
ψ'	0.05
χ_c	0.2
$Y(1S)$	1.1
$Y(2S)$	0.54
$Y(3S)$	0.31

Suppression determined by T and binding energy

Sequential melting of quarkonia

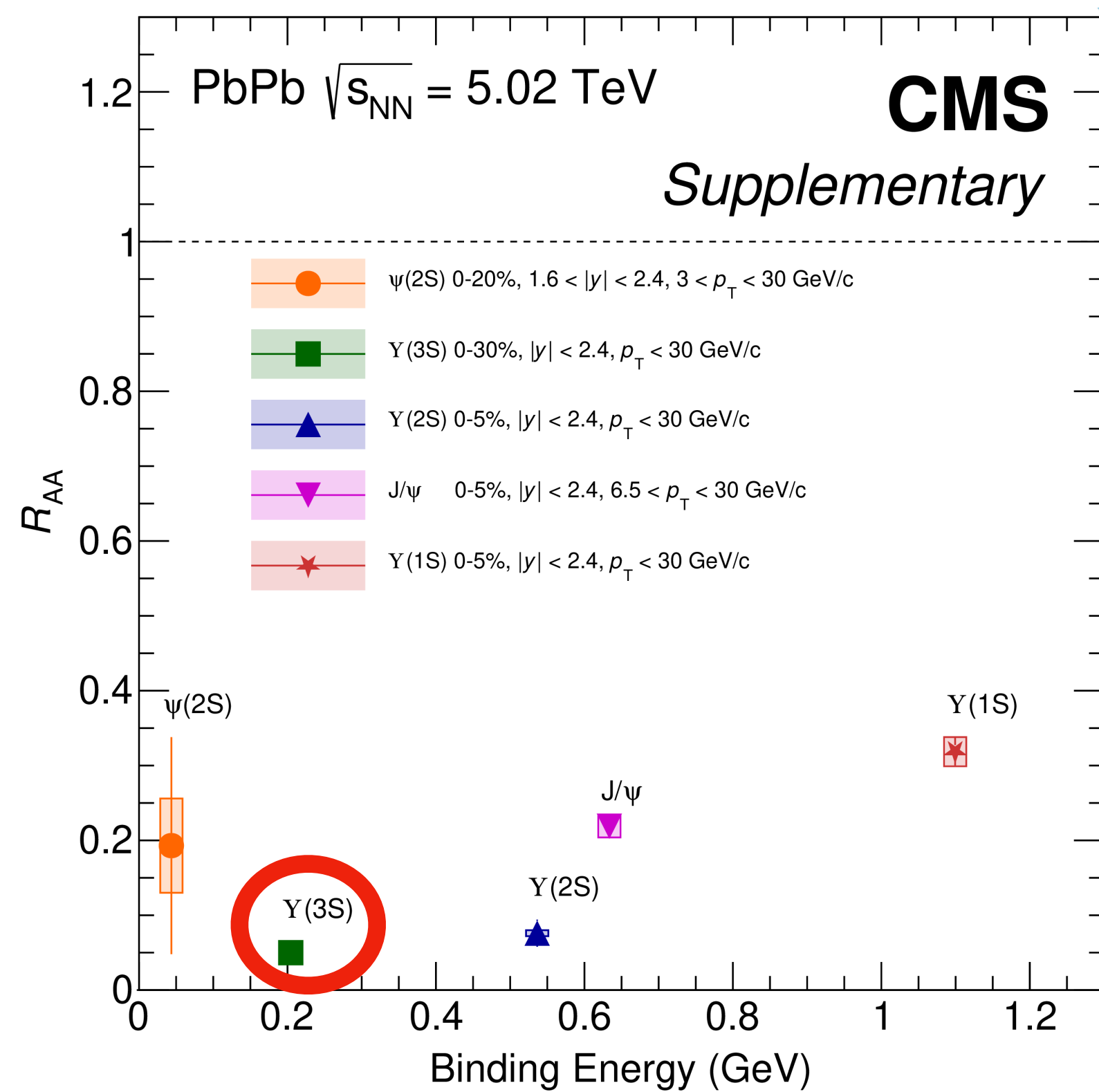
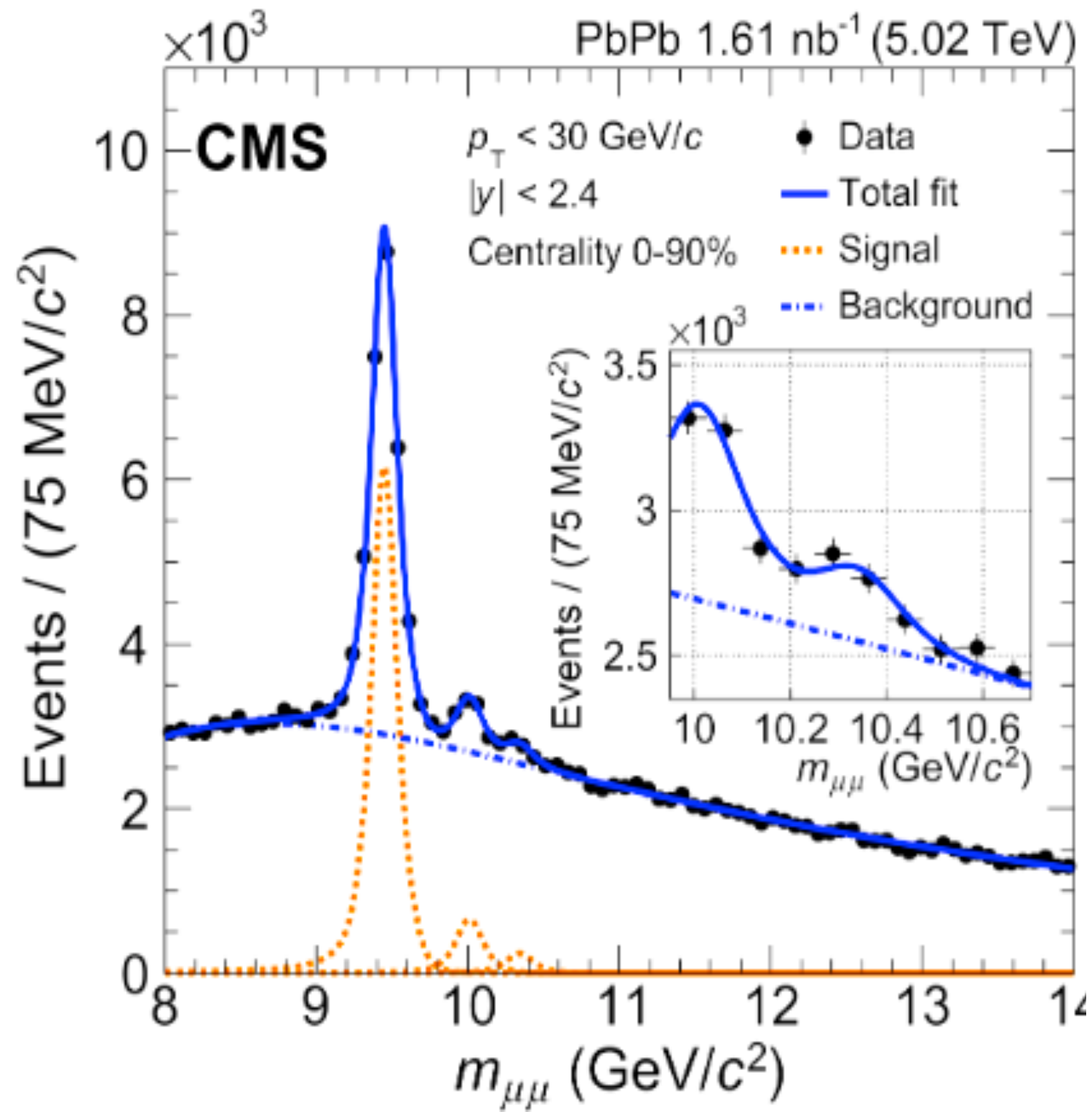


Sequential melting of quarkonia



Lightly bound states almost completely gone
Tightly bound states have mostly melted at LHC energies

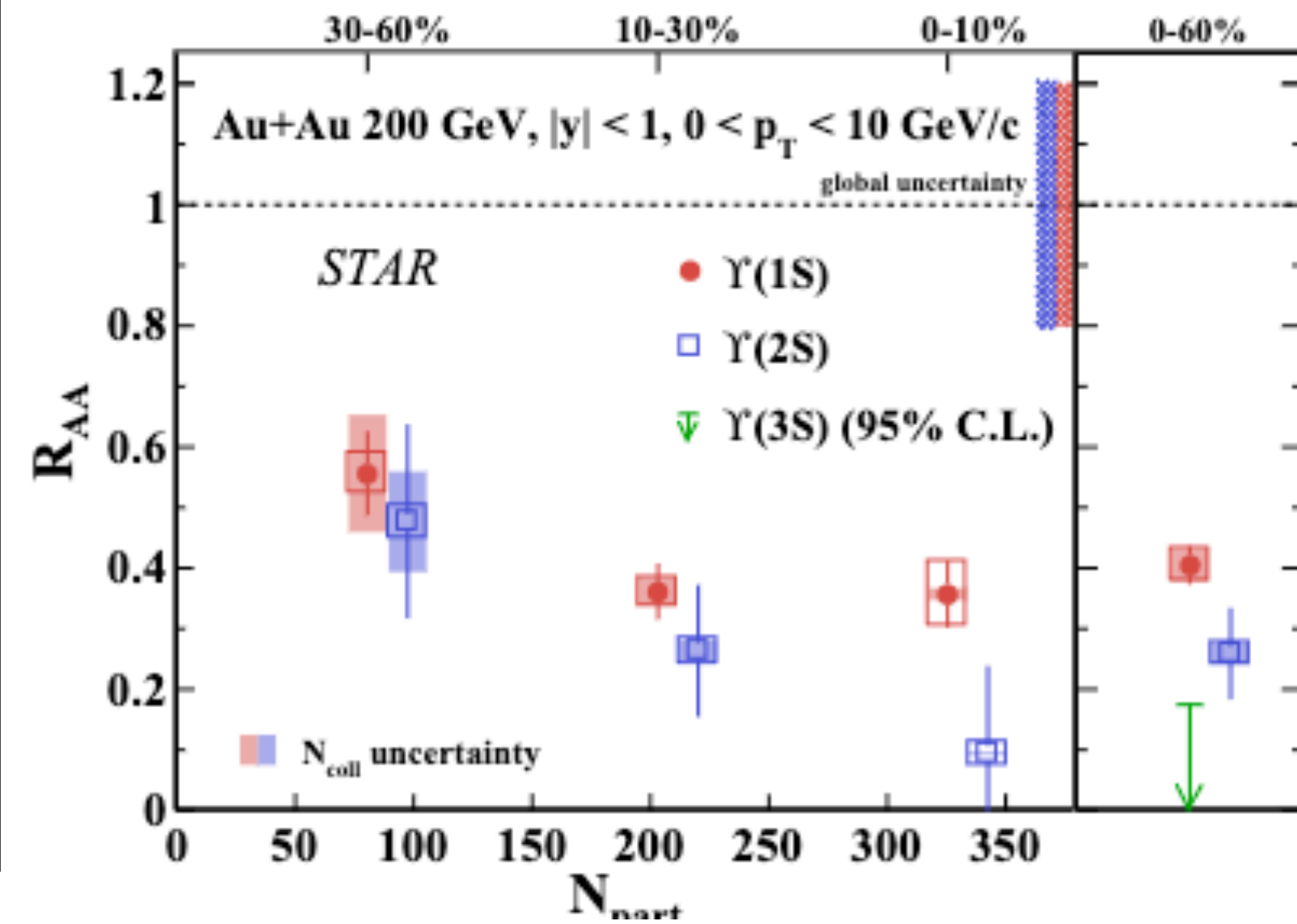
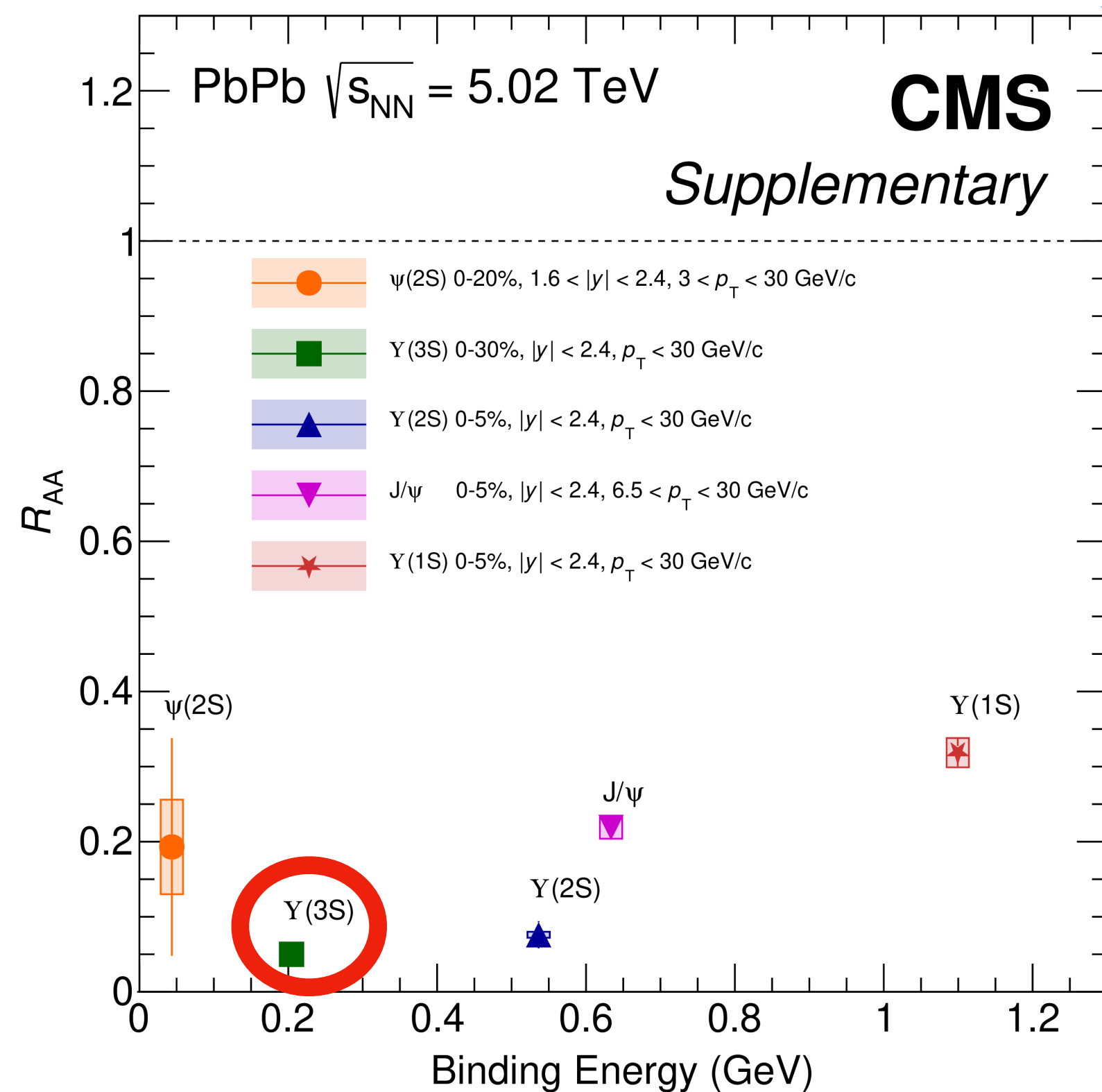
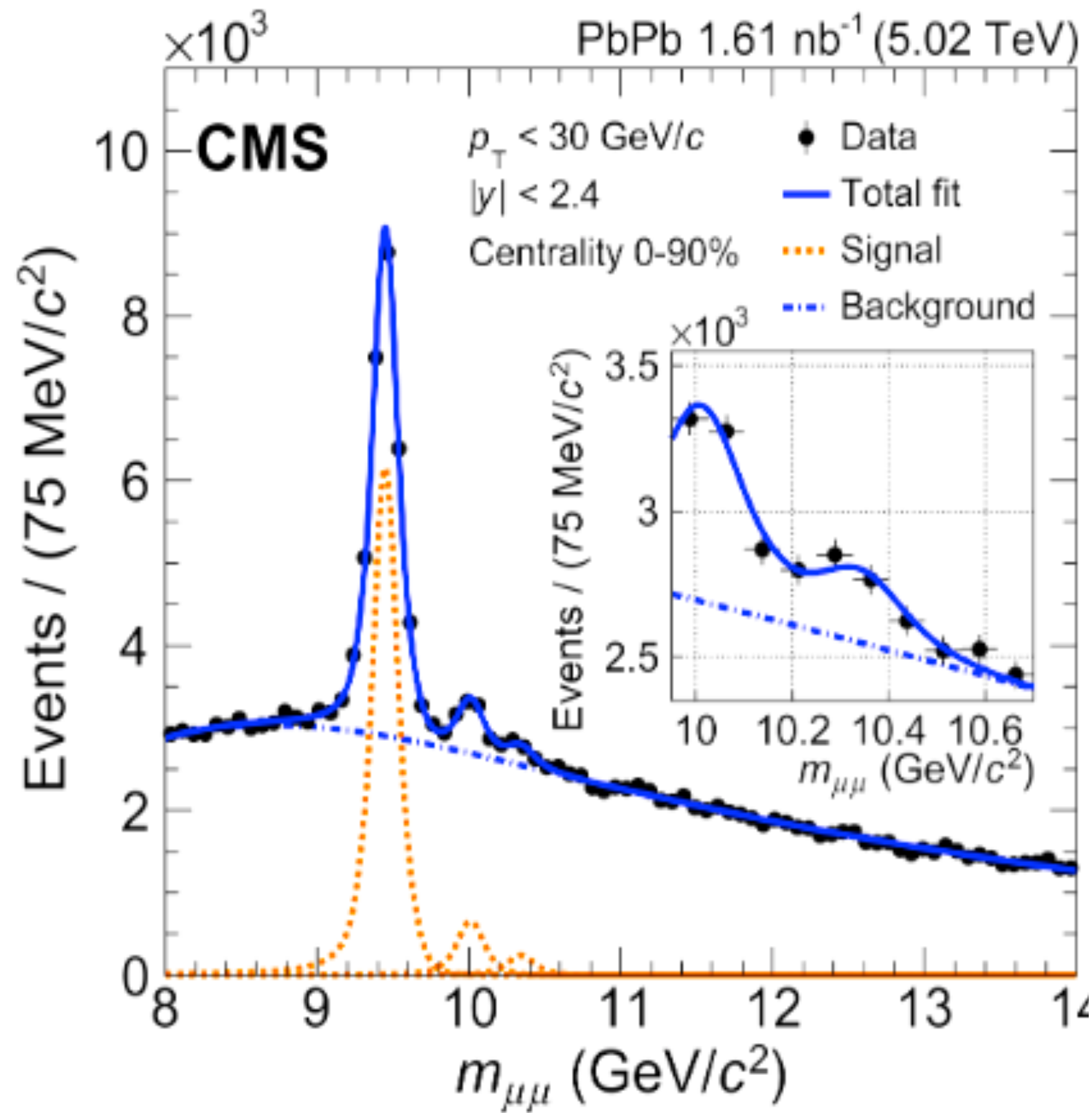
Sequential melting of quarkonia



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Sequential melting of quarkonia



Lightly bound states almost completely gone
 Tightly bound states have mostly melted at LHC energies

and top RHIC

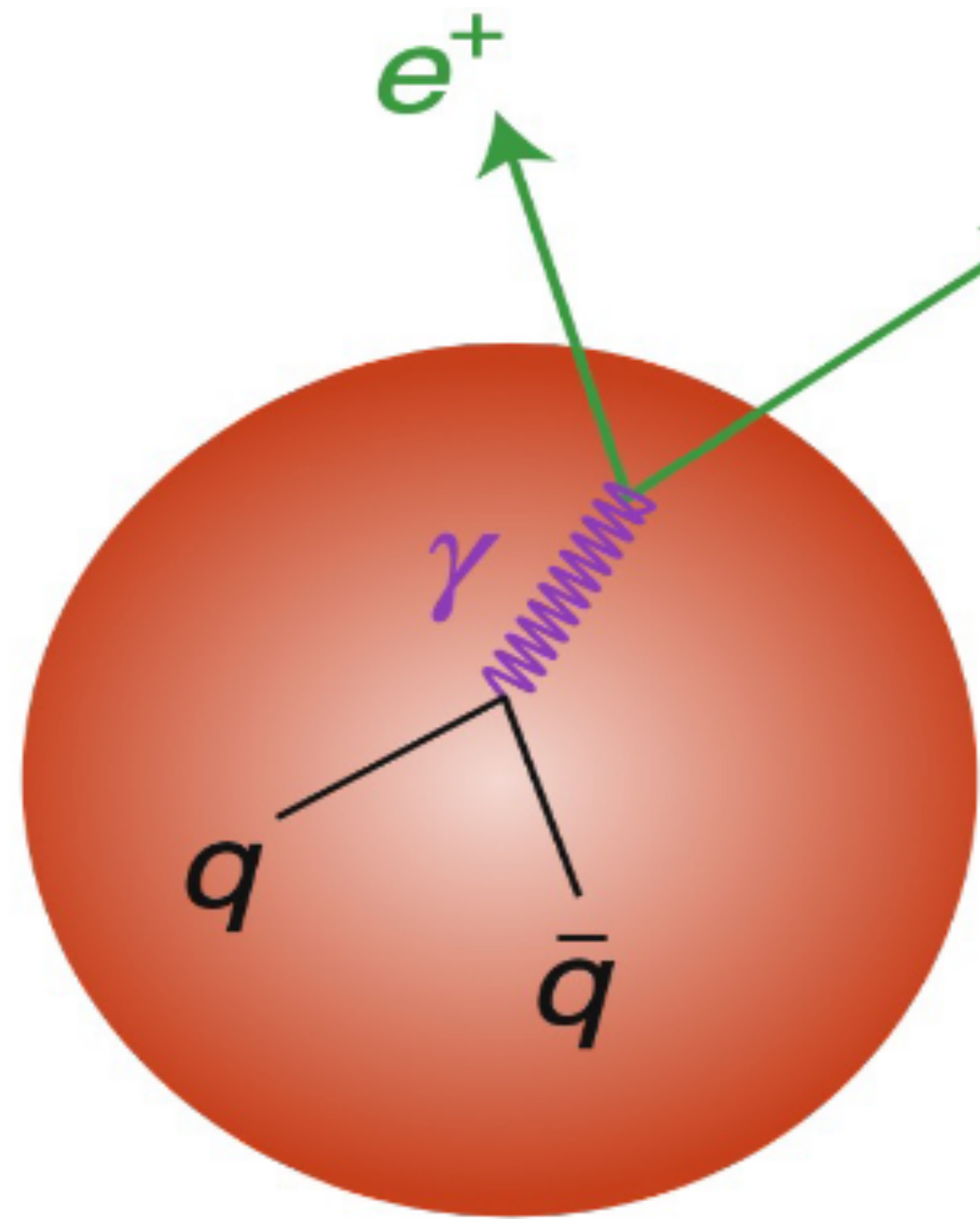
$$T > 1.5 T_c \sim 300 \text{ MeV}$$

Extracting the initial T: non-interacting probe

Di-leptons probe medium over its whole evolution.

Escape medium without interacting (no color charge)

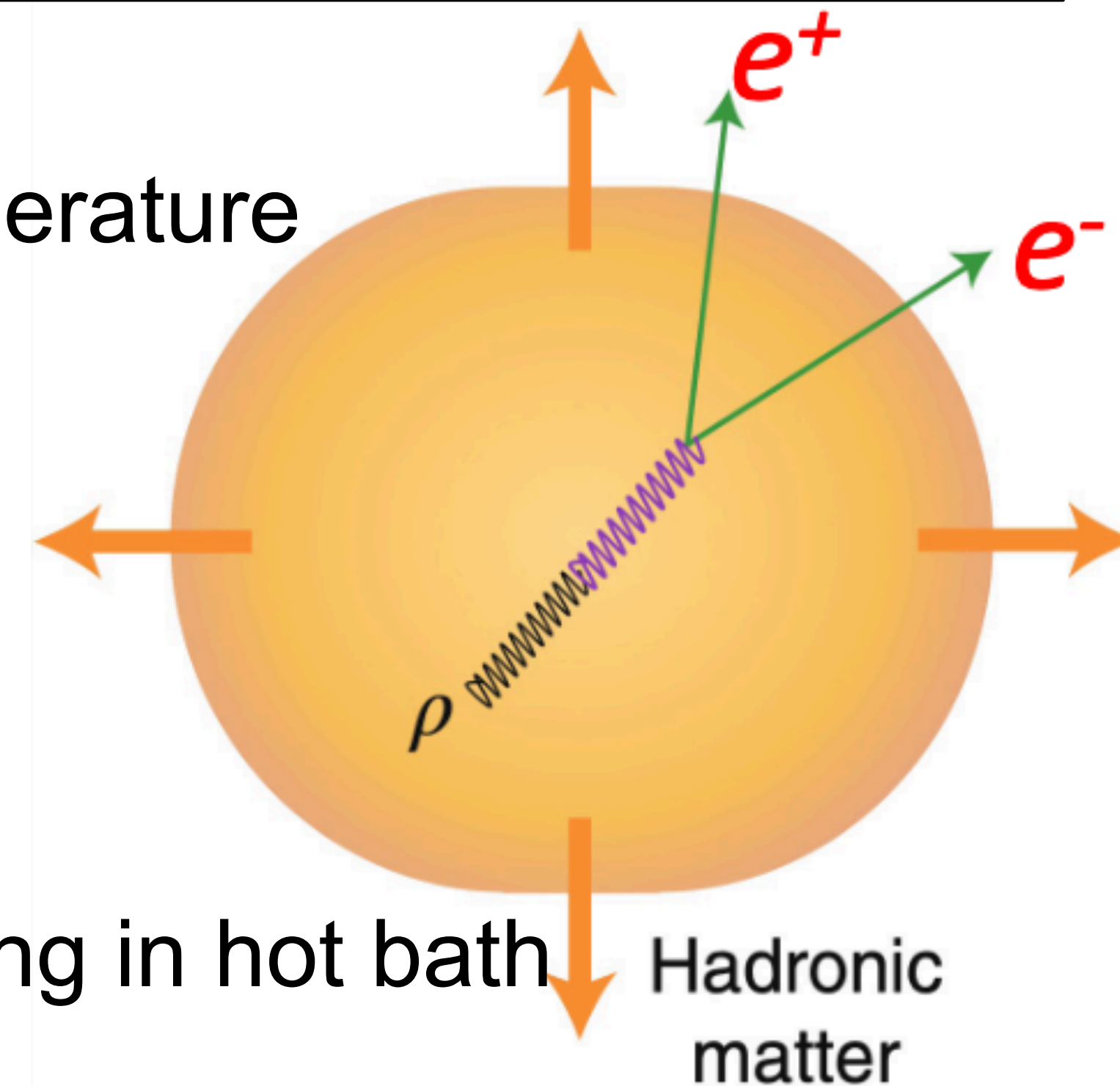
Two for the price of one:
Different di-lepton invariant mass ranges probe different times



Production rate proportional to QGP temperature
: Early time measurement

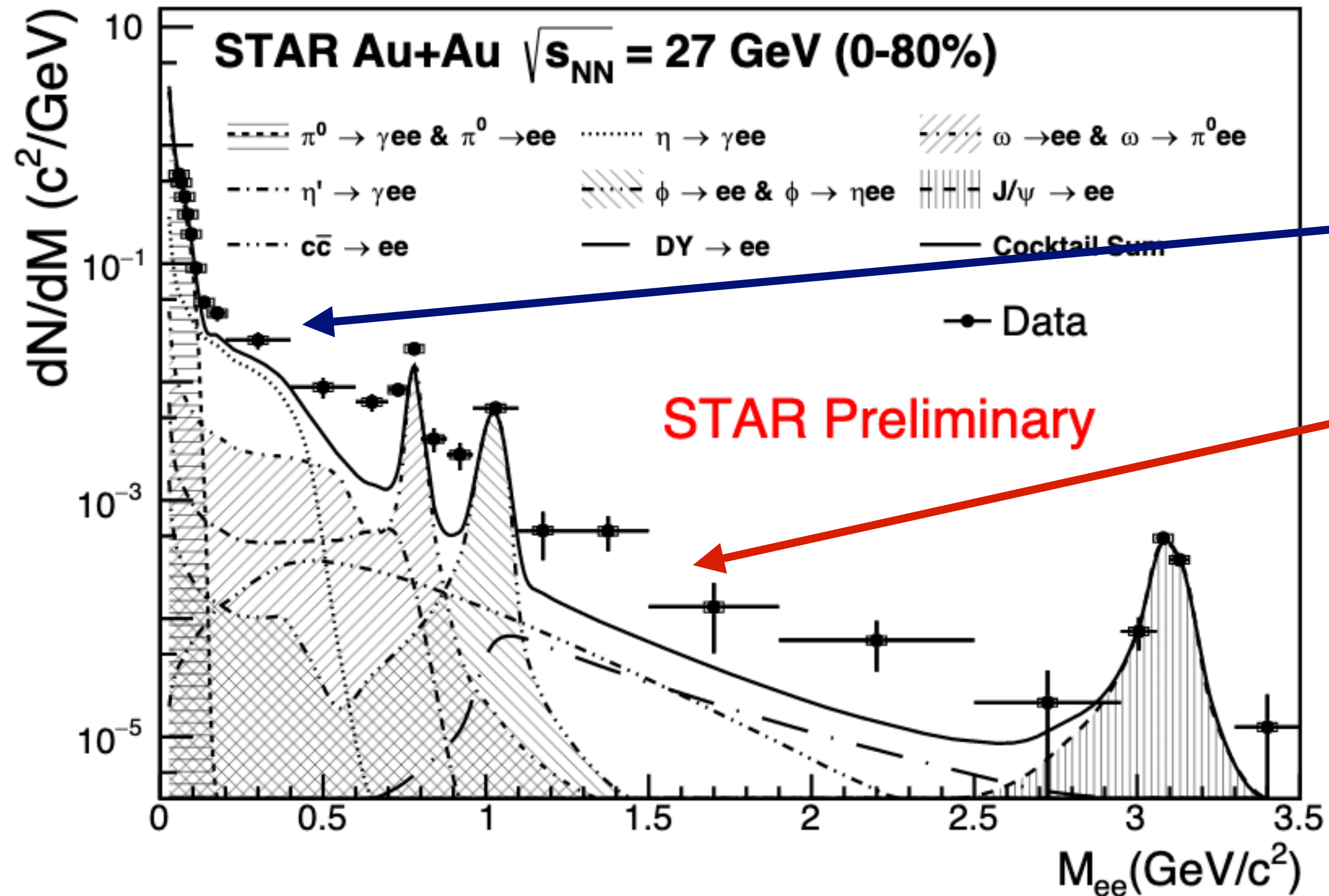
Quark-gluon plasma

ρ spectral function broadens when sitting in hot bath
: Later time measurement



Hadronic matter

Extracting the signal



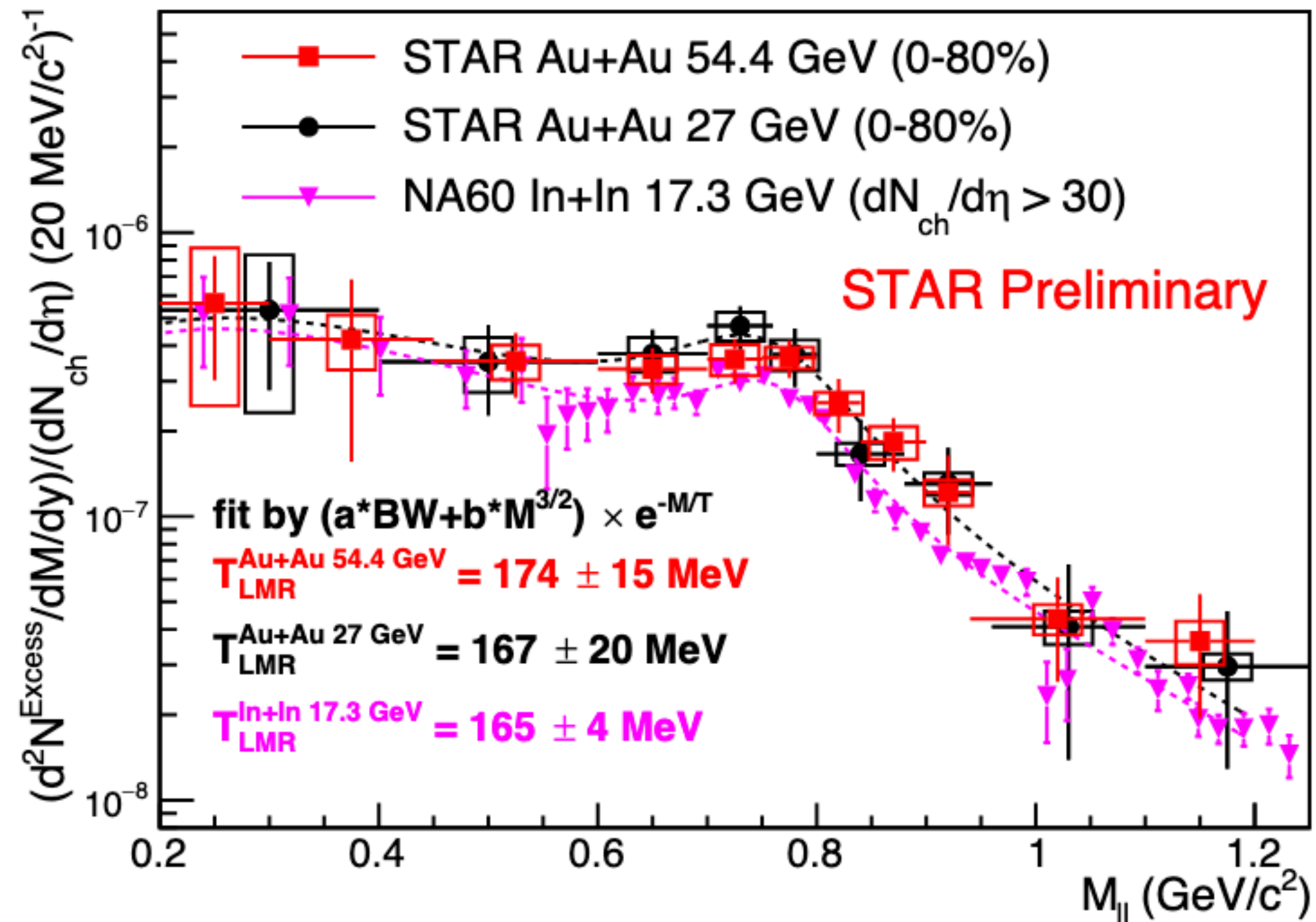
Low mass range

Intermediate mass range

Clear enhancement for LMR and IMR

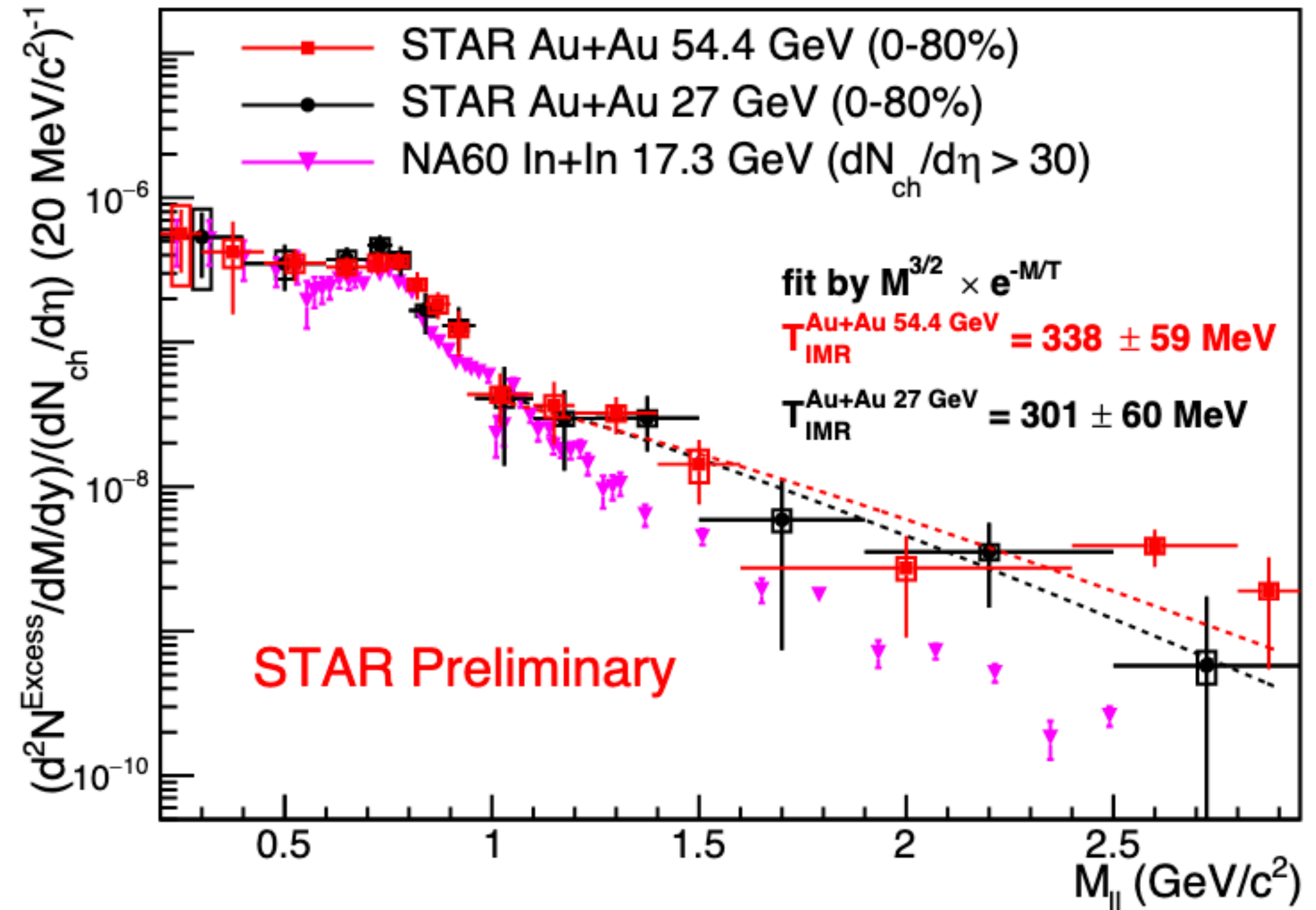
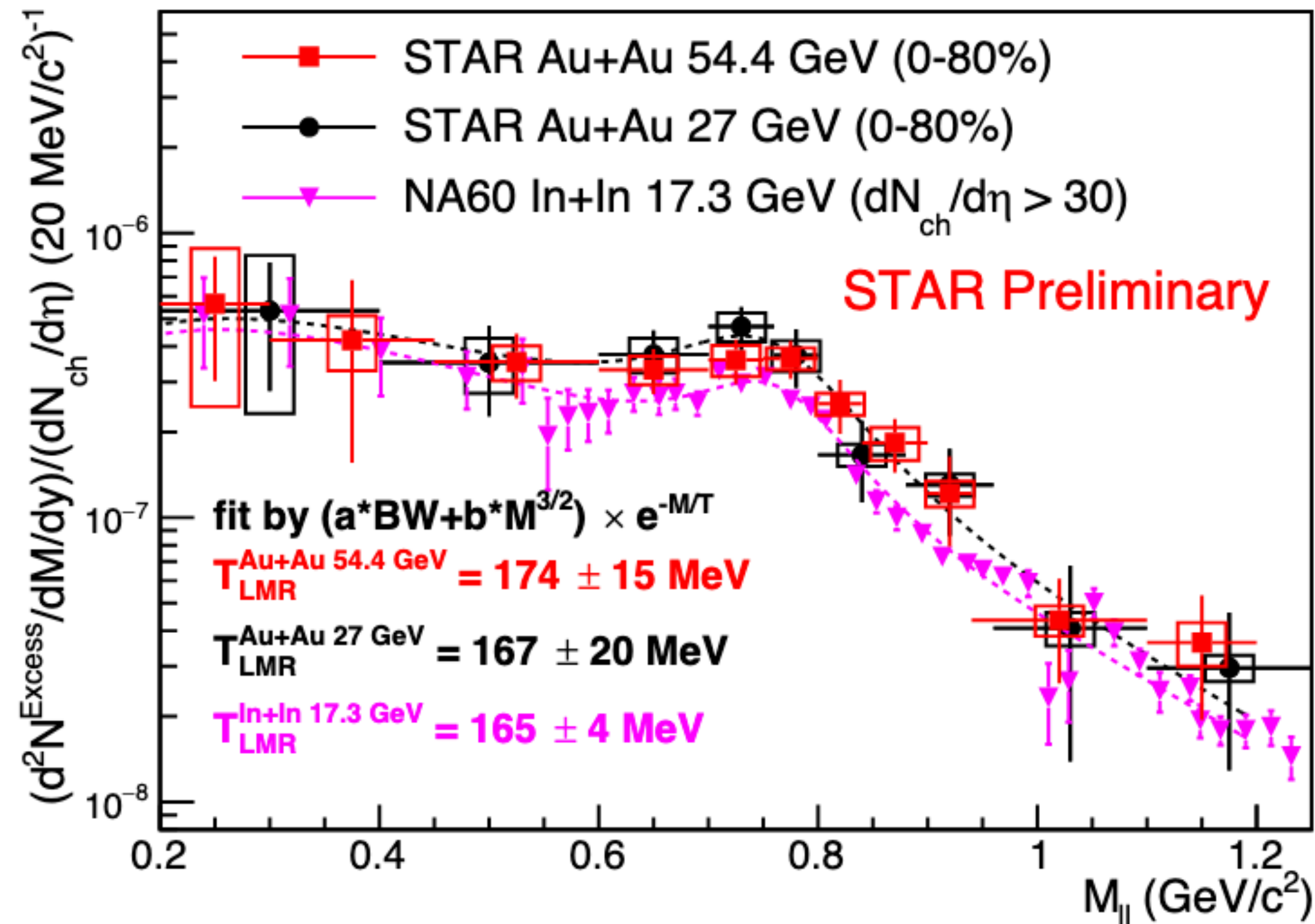
STAR Preliminary

Extracting the temperatures



Low mass range: Similar mass spectrum, similar T ,
in-medium ρ produced & broadened in similar heat bath from
 $\sqrt{s_{NN}} = 17-56 GeV$

Extracting the temperatures



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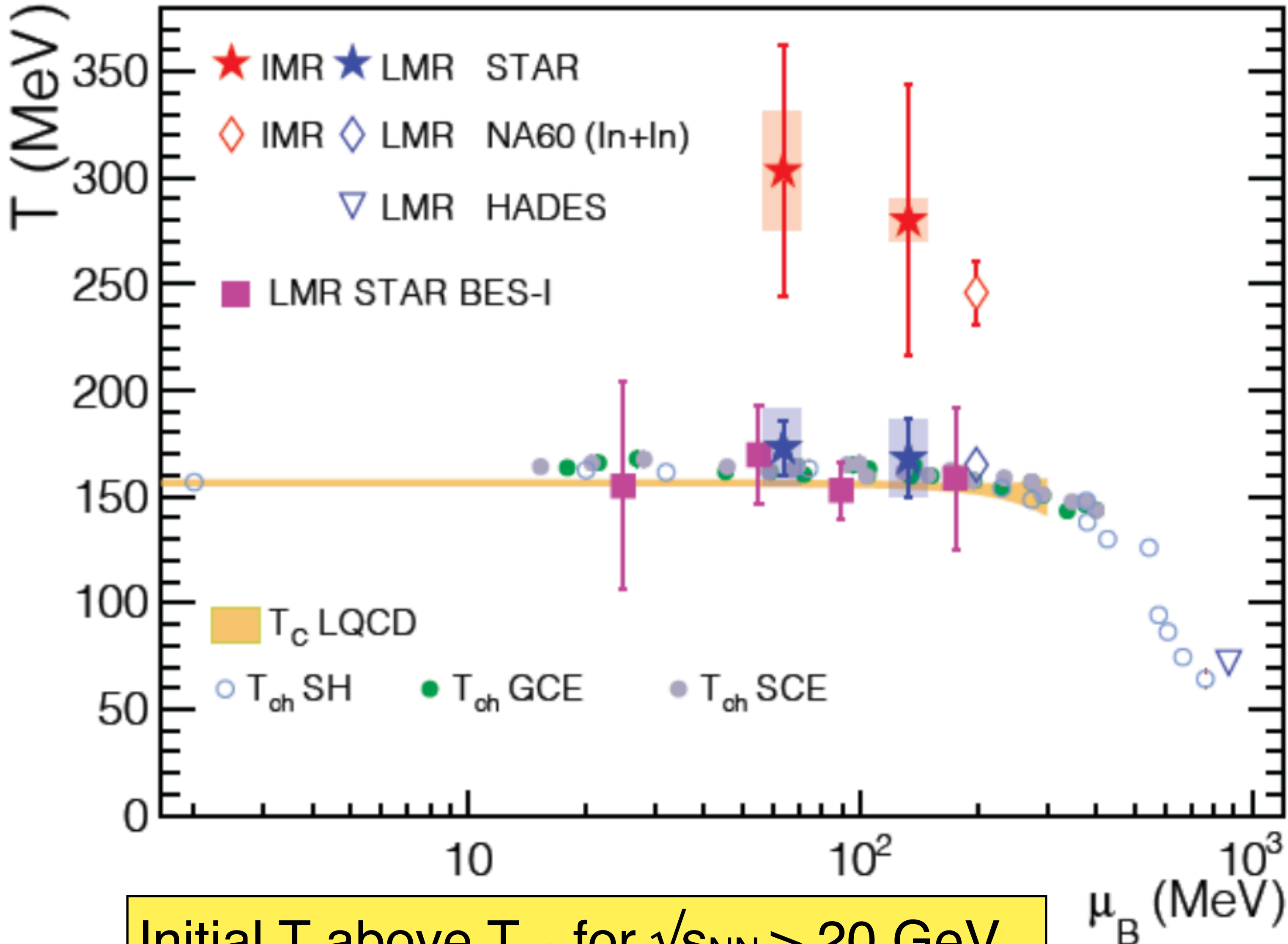
$$\sqrt{s_{\text{NN}}} = 17\text{-}56 \text{ GeV}$$

Intermediate mass range: $T(\sqrt{s_{\text{NN}}} = 54.6) = 338 \pm 59 \text{ MeV} \sim T(\sqrt{s_{\text{NN}}} = 27) = 301 \pm 60 \text{ MeV}$

$$T(\sqrt{s_{\text{NN}}} = 17) \sim 246 \text{ MeV}$$

Different medium below 20 GeV?

Phase diagram summary



Higher chemical potentials at lower $\sqrt{s_{NN}}$

Hadronization occurs at ~ 170 MeV
 T_{pc} from lattice
 (chemical fits and dileptons)

At top RHIC energies (and LHC)
 Initial temperature > 300 MeV
 (Quarkonia and photons)

Above $\sqrt{s_{NN}} \sim 30$ GeV
 Initial temperature > 300 MeV
 Potentially dropping below 20 GeV
 (dileptons)

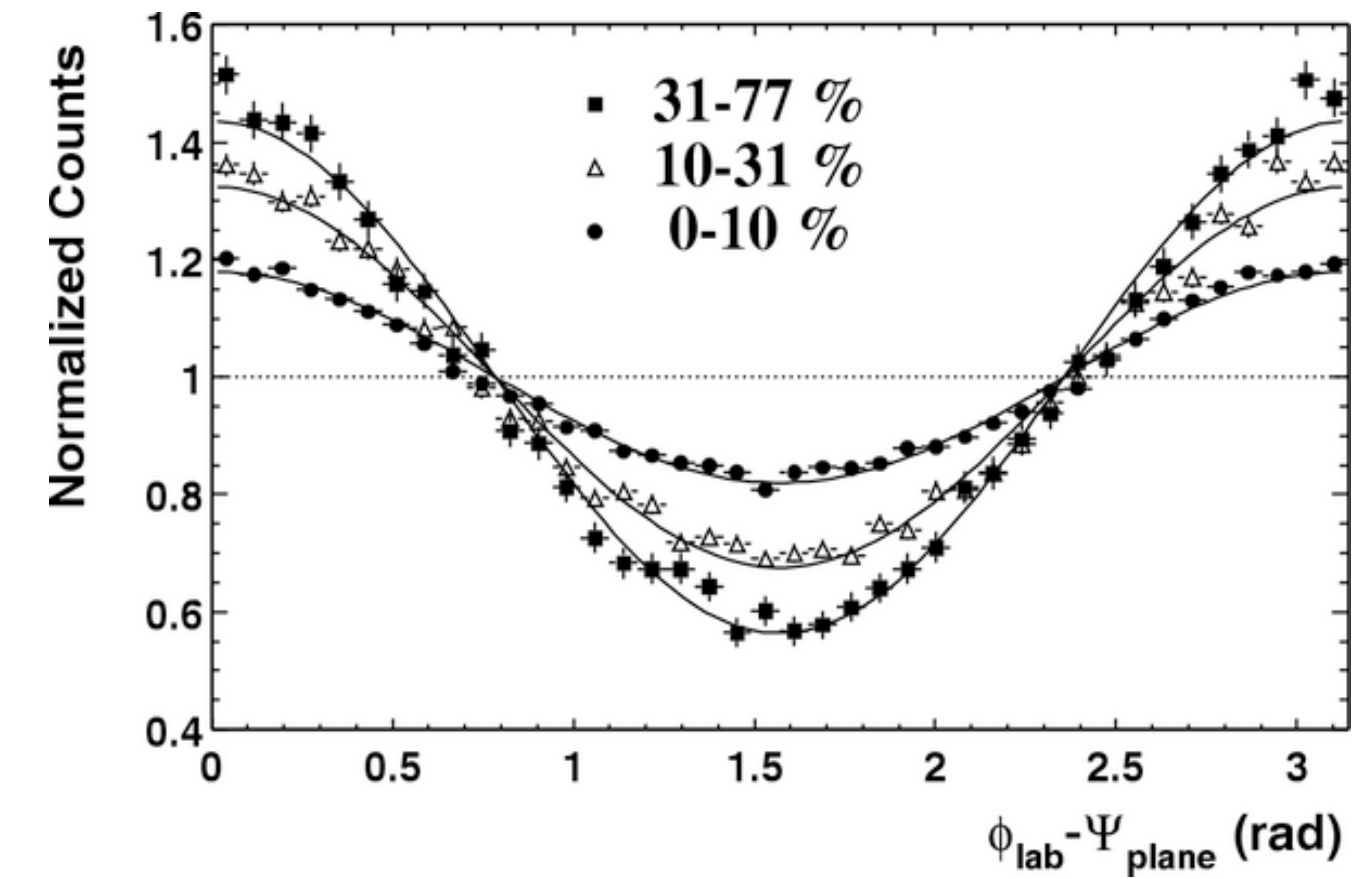
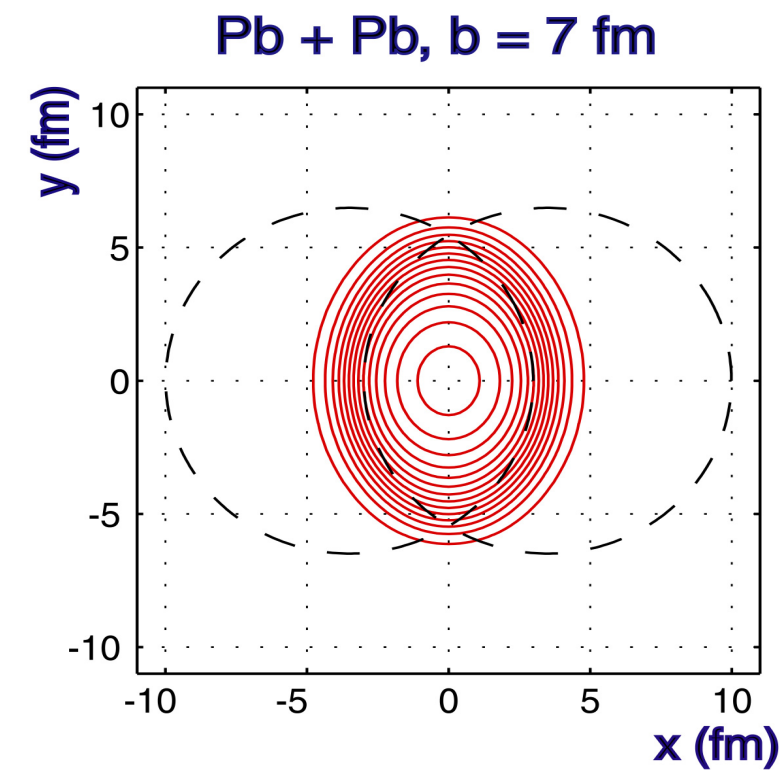
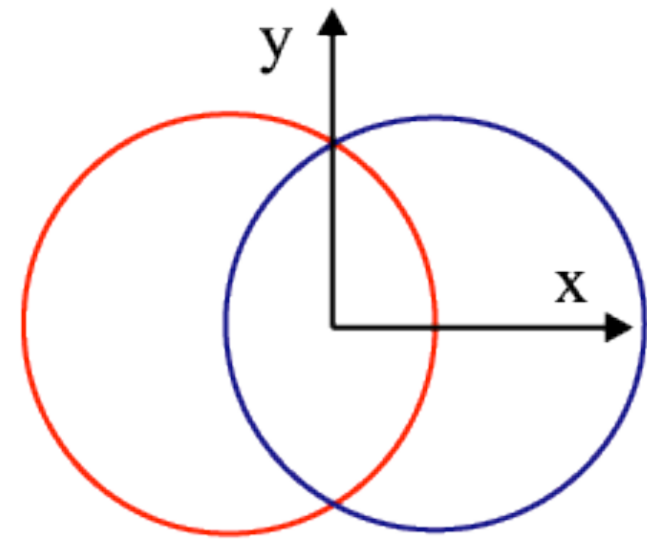
How hot is ~ 200 MeV ?

- A. Approximately the same as the hottest recorded T in Finland (~ 37.2 °C Liperi, July 29, 2010)
- B. Approximately that of molten gold (~ 1000 °C)
- C. Approximately that of the center of the sun (~ 15 million °C)
- D. Approximately that of a supernova (~ 10 billion °C)
- E. Even hotter

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- E. Even hotter ~ 0.1 trillion °C

QGP: fluid or gas or plasma?



Almond shape overlap
region in **coordinate space**



**Interactions/
Rescattering**

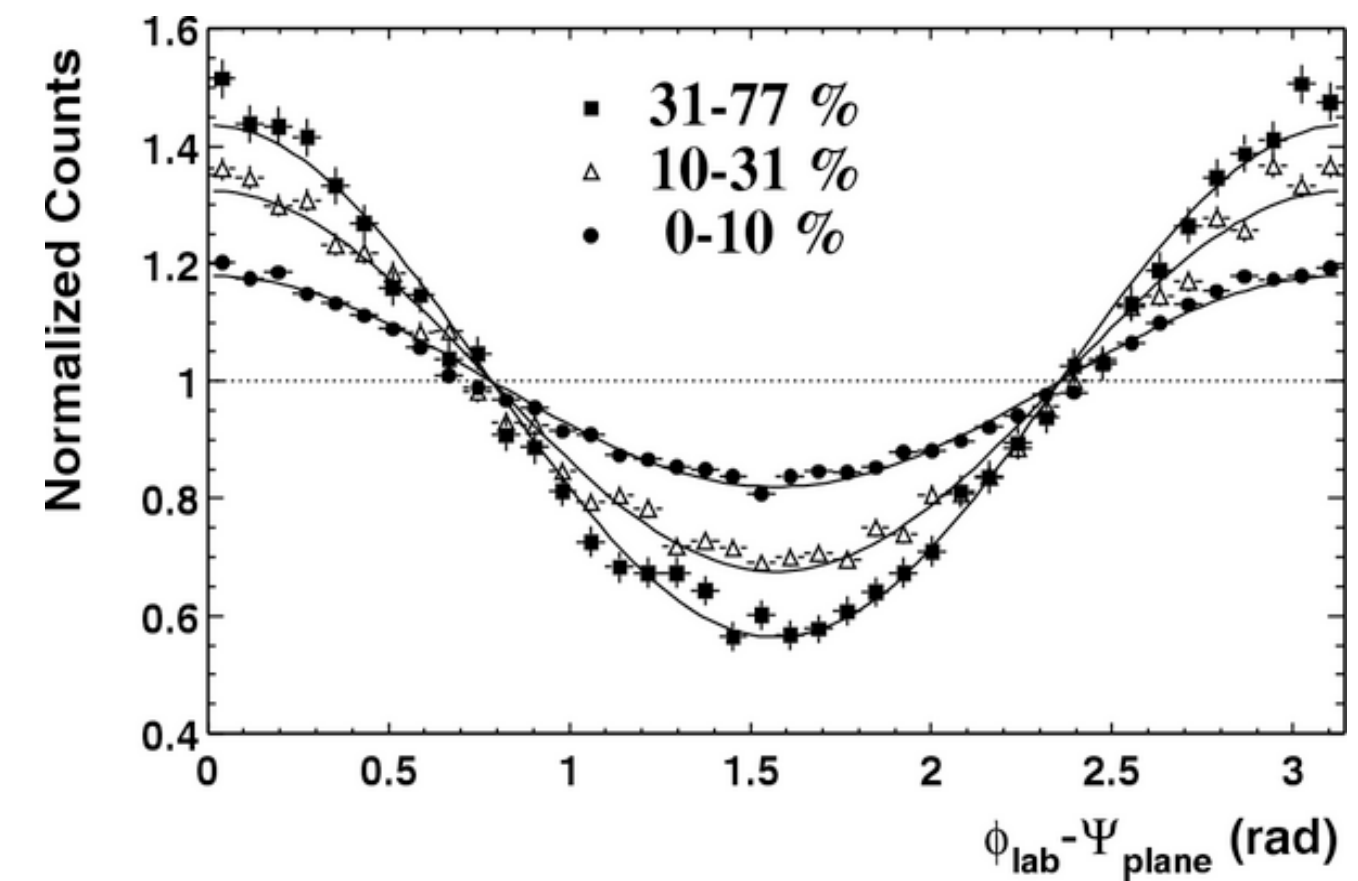
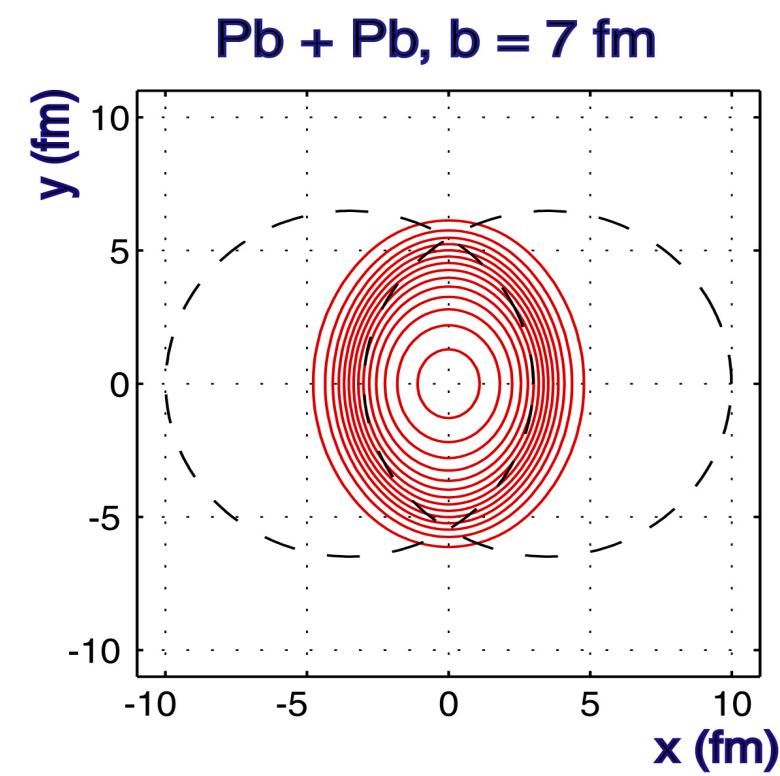
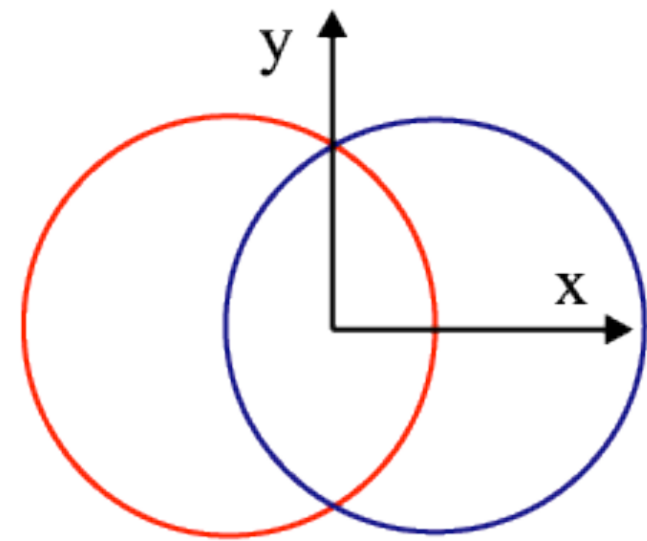


**Anisotropy in
momentum
space**

$$dN/d\phi \propto 1 + 2 v_1(p_T) \cos(\phi - \Psi_R) + 2 v_2(p_T) \cos(2(\phi - \Psi_R)) \dots] \quad \phi = \text{atan}(p_y/p_x)$$

v_1 : directed flow, v_2 : elliptic flow

QGP: fluid or gas or plasma?



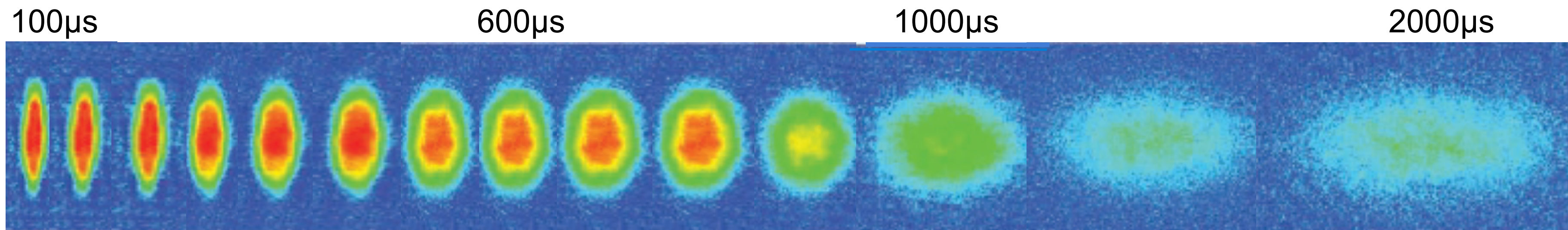
Almond shape overlap region in coordinate space



Interactions/Rescattering



Anisotropy in momentum space



Time

–M. Gehm, S. Granade, S. Hemmer, K. O'Hara, J. Thomas - **Science** 298 2179 (2002)

QGP: fluid or gas or plasma?

Elliptic flow observable sensitive to early evolution of system

Mechanism is self-quenching

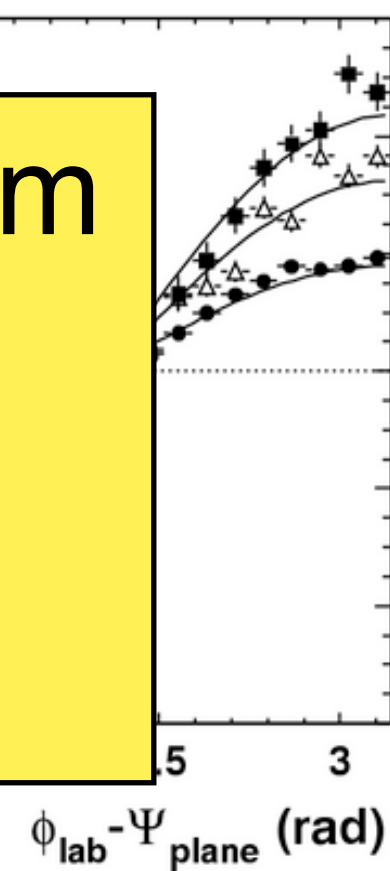
Large v_2 is an indication of *early* thermalization

Pb + Pb, $b = 7$ fm

its

1.6

21.77.0%



Almond shape overlap
region in coordinate space



Interactions/
Rescattering



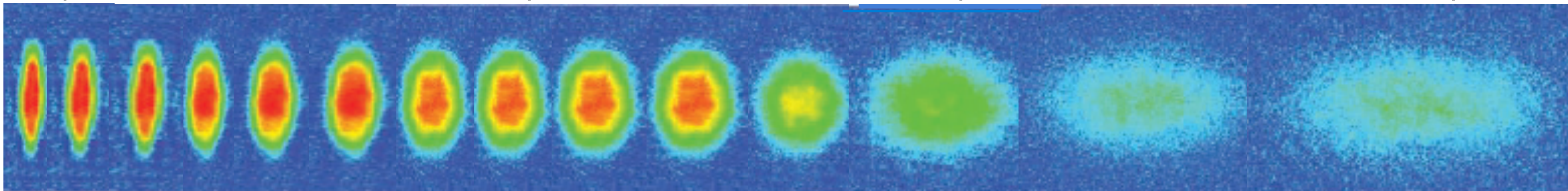
Anisotropy in
momentum
space

100 μ s

600 μ s

1000 μ s

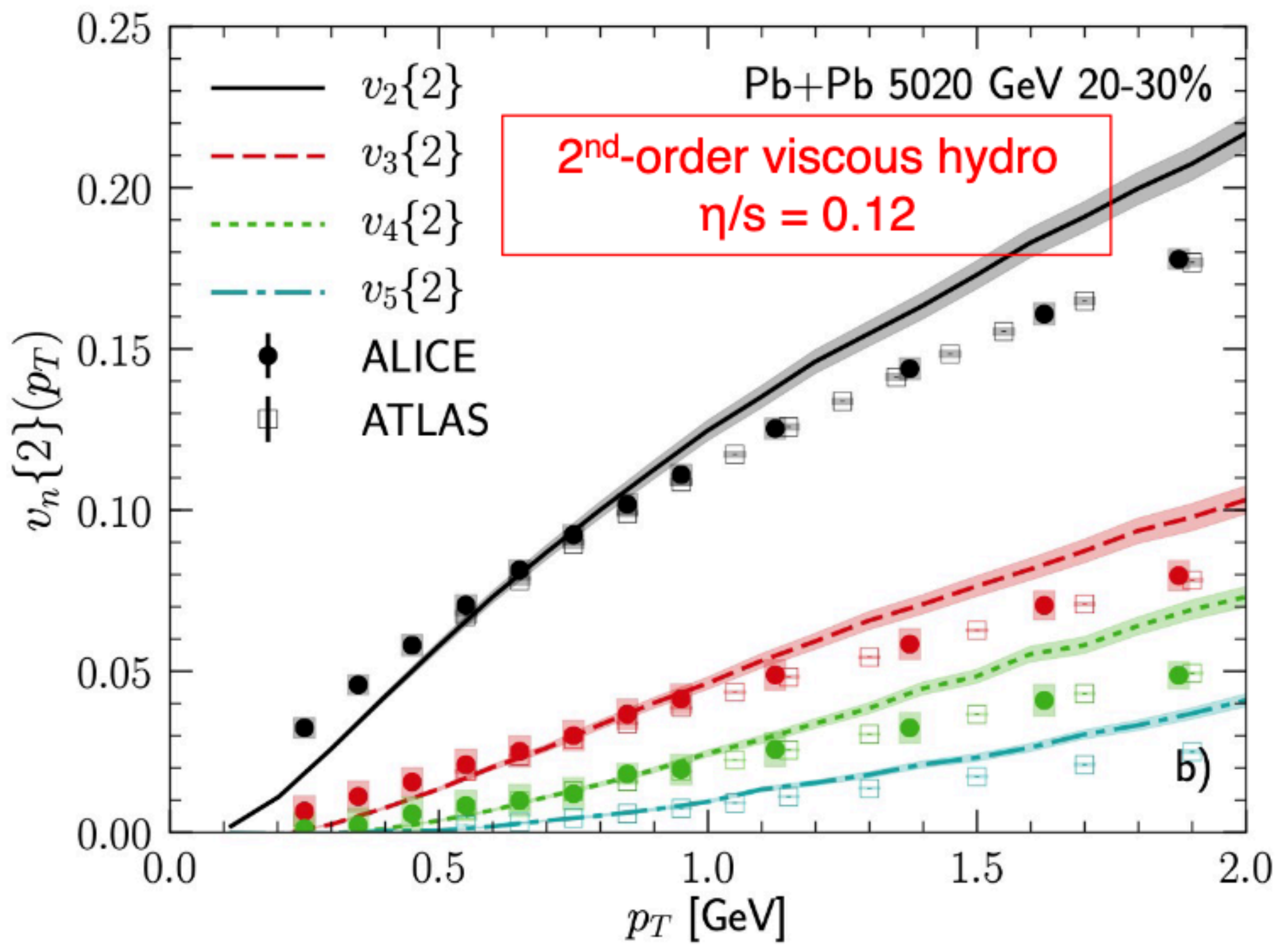
2000 μ s



Time

–M. Gehm, S. Granade, S. Hemmer, K. O'Hara, J. Thomas - **Science** 298 2179 (2002)

Its a fluid



Data well described by hydrodynamical models with very low viscosity to entropy ratio

A near-perfect fluid!

Higher odd v_n terms dominantly due to event-by-event geometrical fluctuations

Evidence for partonic degrees of freedom

Elliptic flow is additive

If partons are flowing the *complicated* observed flow pattern in $v_2(p_T)$ for hadrons

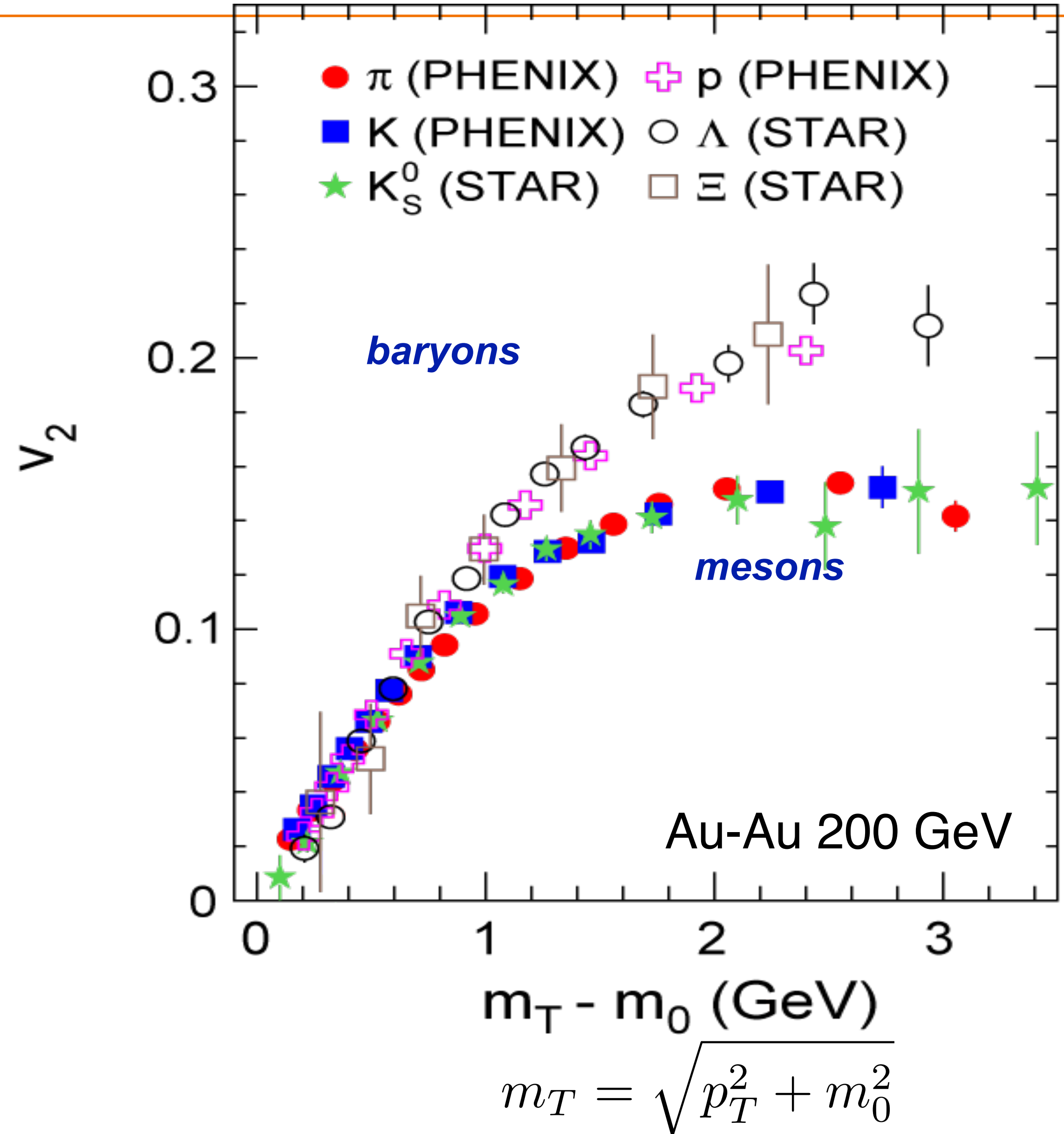
$$\frac{d^2N}{dp_T d\phi} \propto 1 + 2 v_2(p_T) \cos(2\phi)$$

should become *simple* at the quark level

$$p_T \rightarrow p_T / n$$

$$v_2 \rightarrow v_2 / n$$

$n = (2, 3)$ for (meson, baryon)



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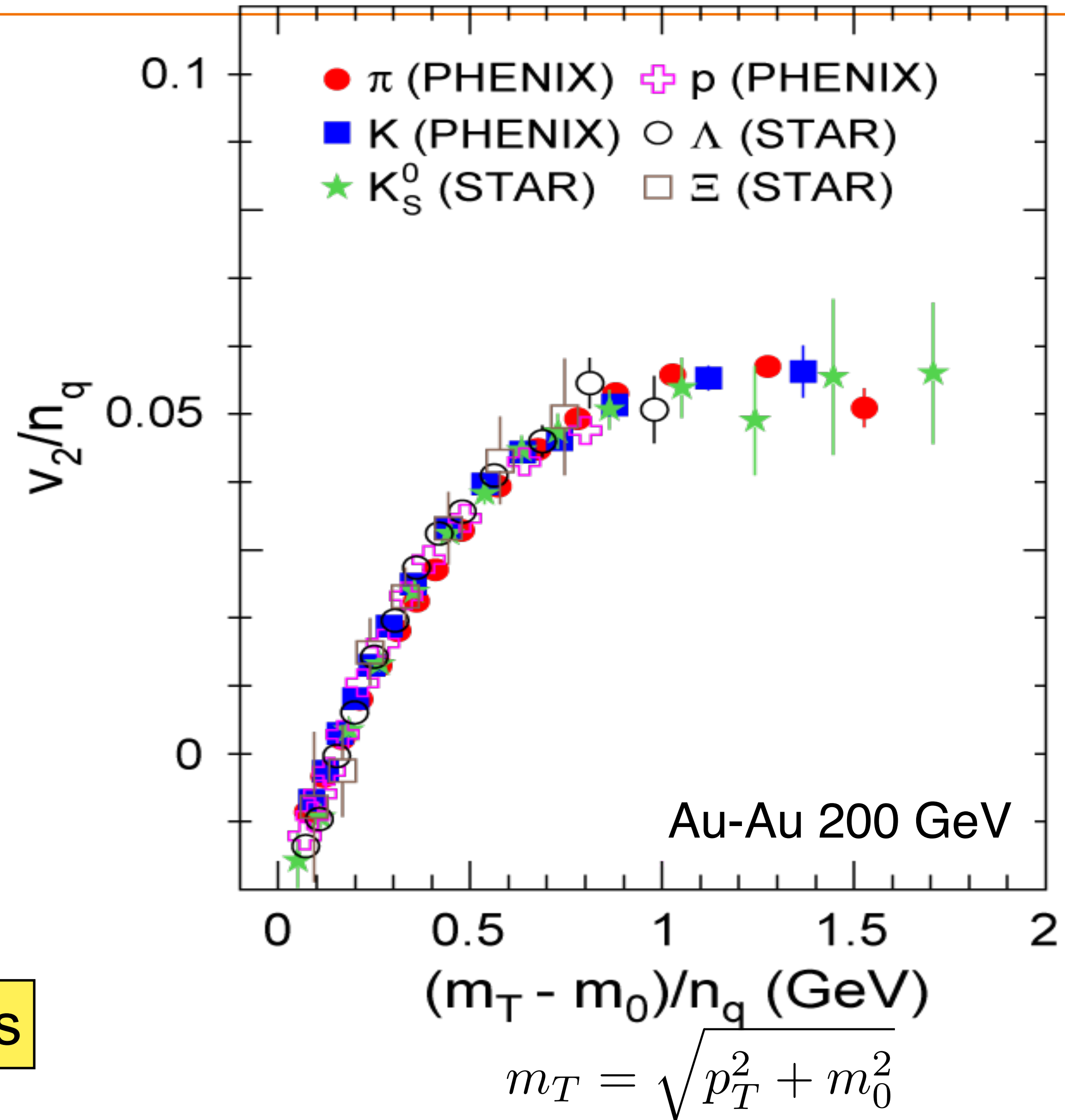
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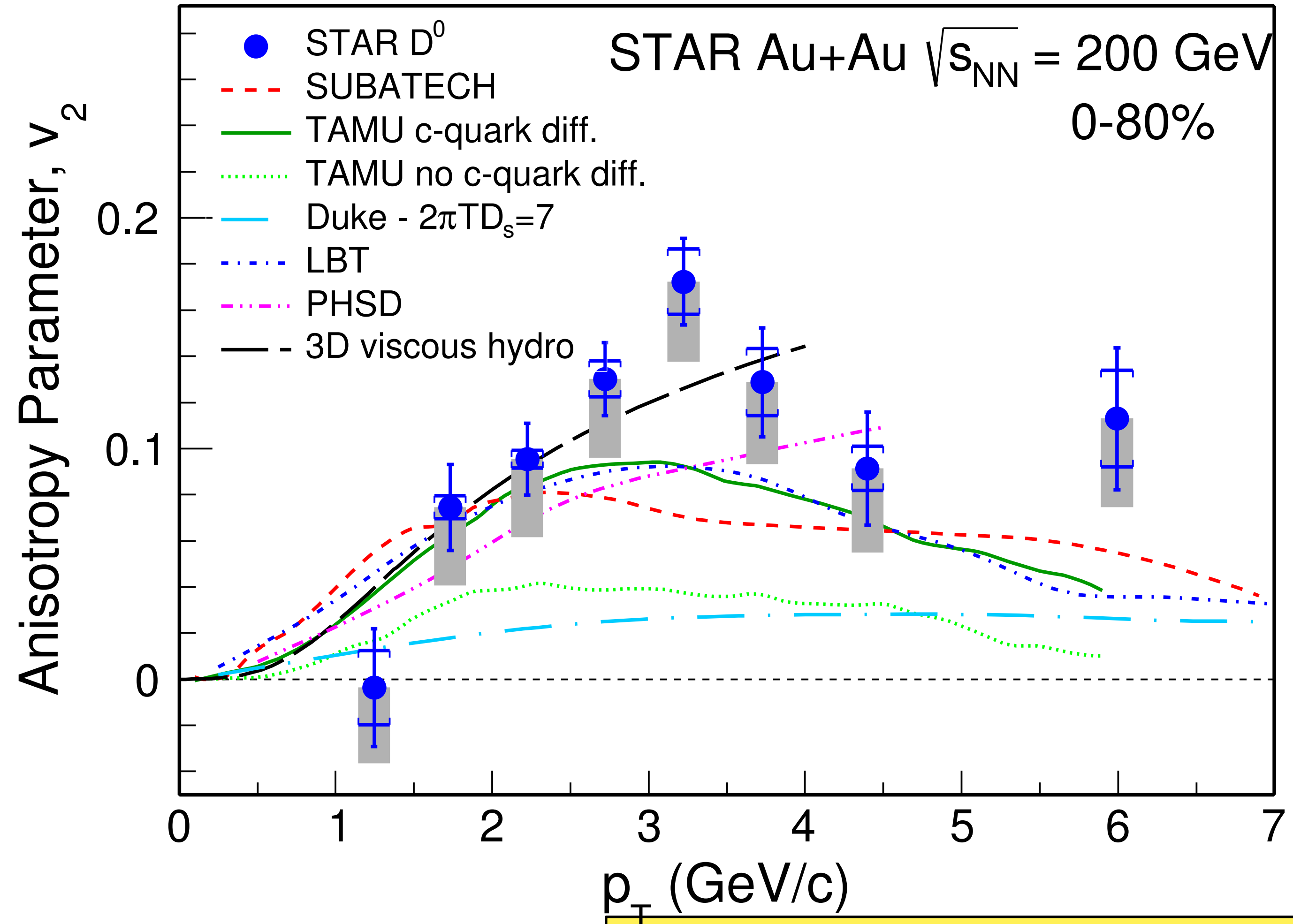
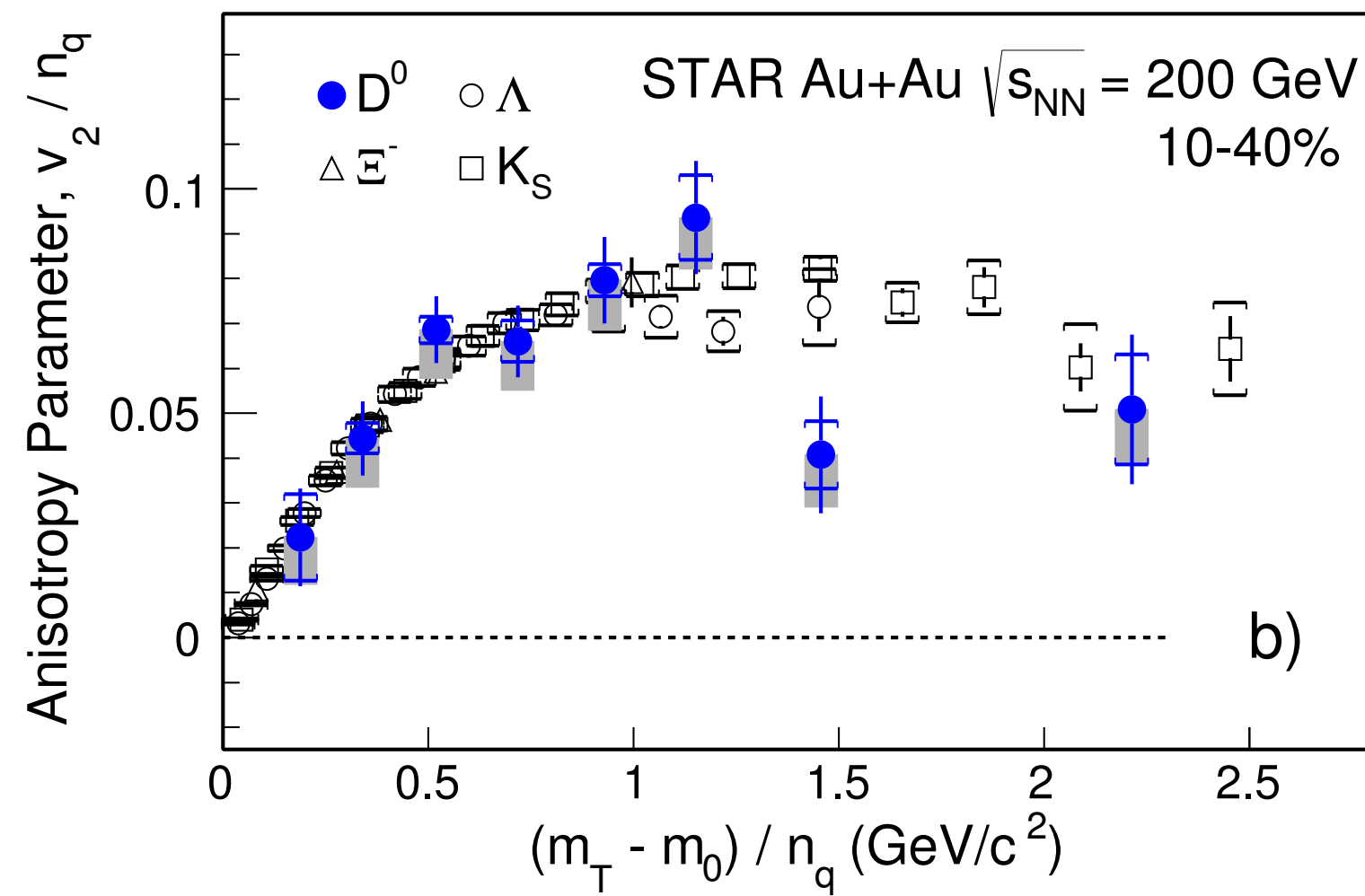
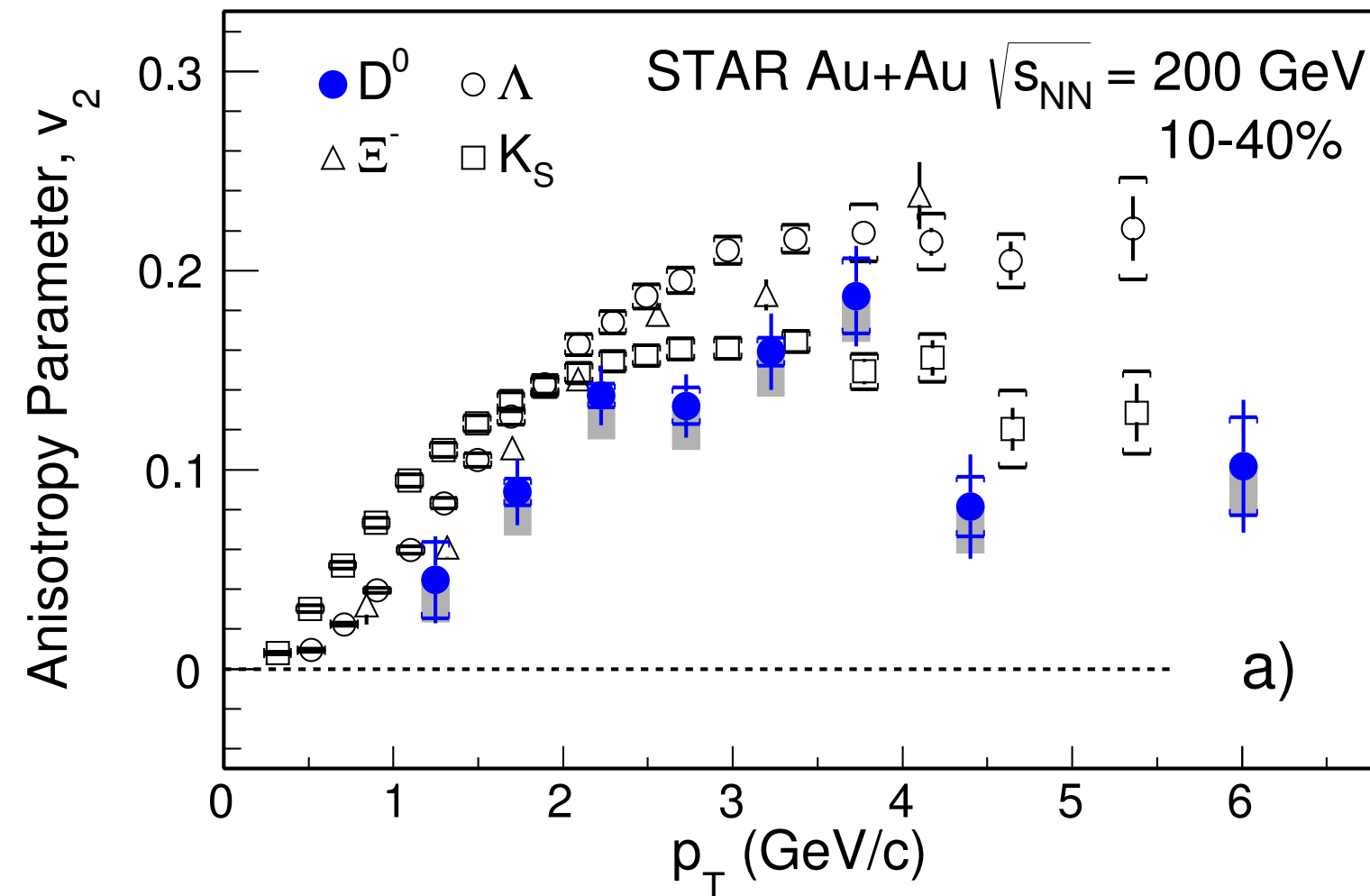
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Constituents of QGP are partons



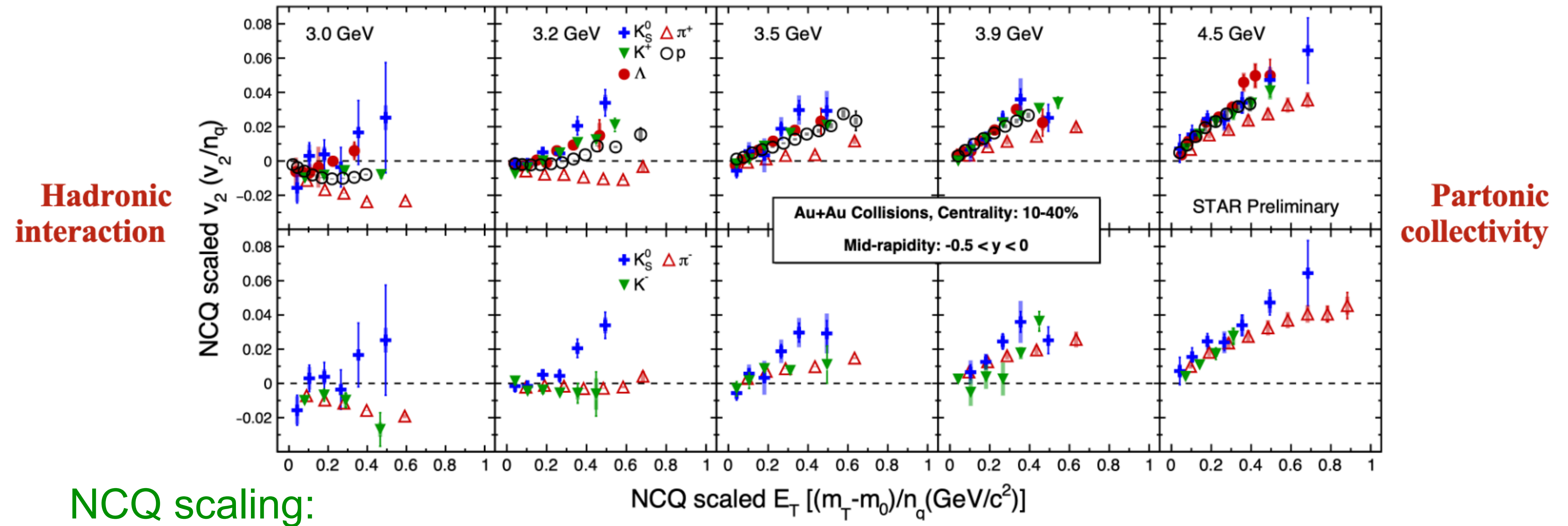
Charm quarks are also thermalized



Clear mass ordering $p_T < 2\text{GeV}/c$

NCQ scaling of charm
- thermalization of heavy quarks

Disappearance of partonic collectivity



Partonic : $\sqrt{s_{NN}} > 5$ GeV

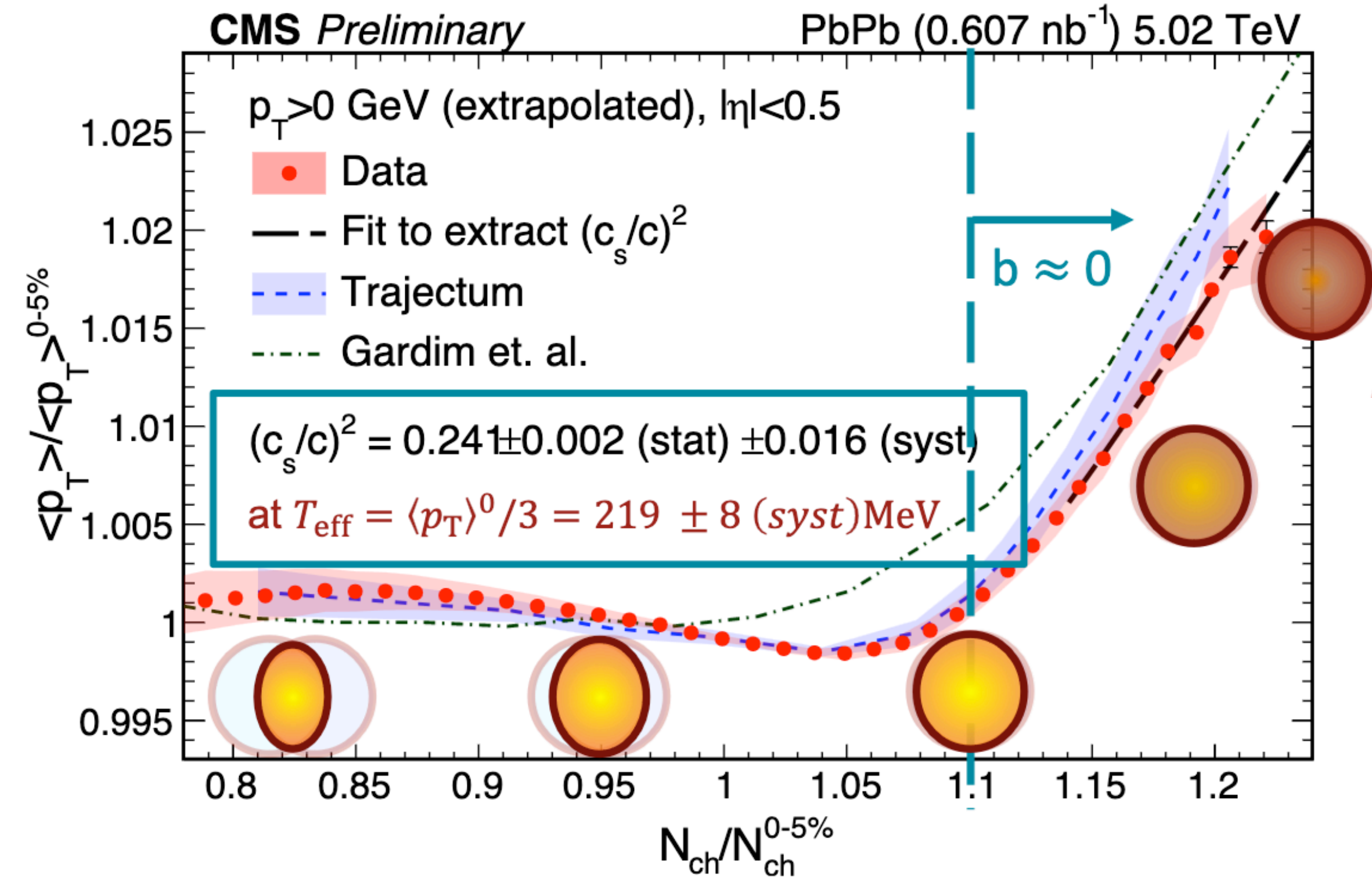
Hadron dominated : $\sqrt{s_{NN}} < 3.2$ GeV

Speed of sound in QGP

Simple but elegant analysis

$$c_s^2 = \frac{dP}{d\varepsilon} = \frac{d\ln T}{d\ln s} = \frac{d\ln \langle p_T \rangle}{d\ln N_{ch}}$$

Focus on ultra-central events - **avoid geometry fluctuations**

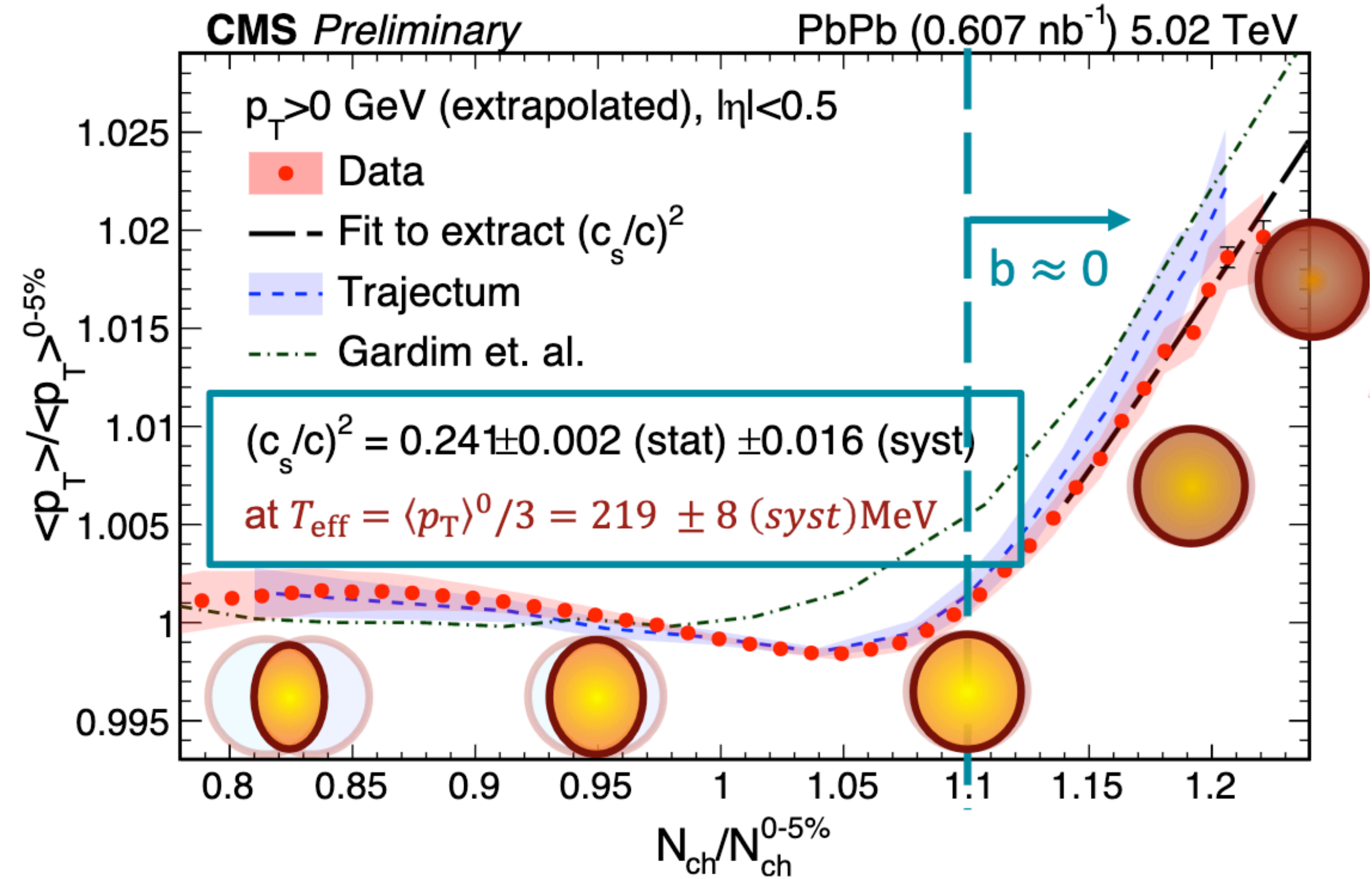
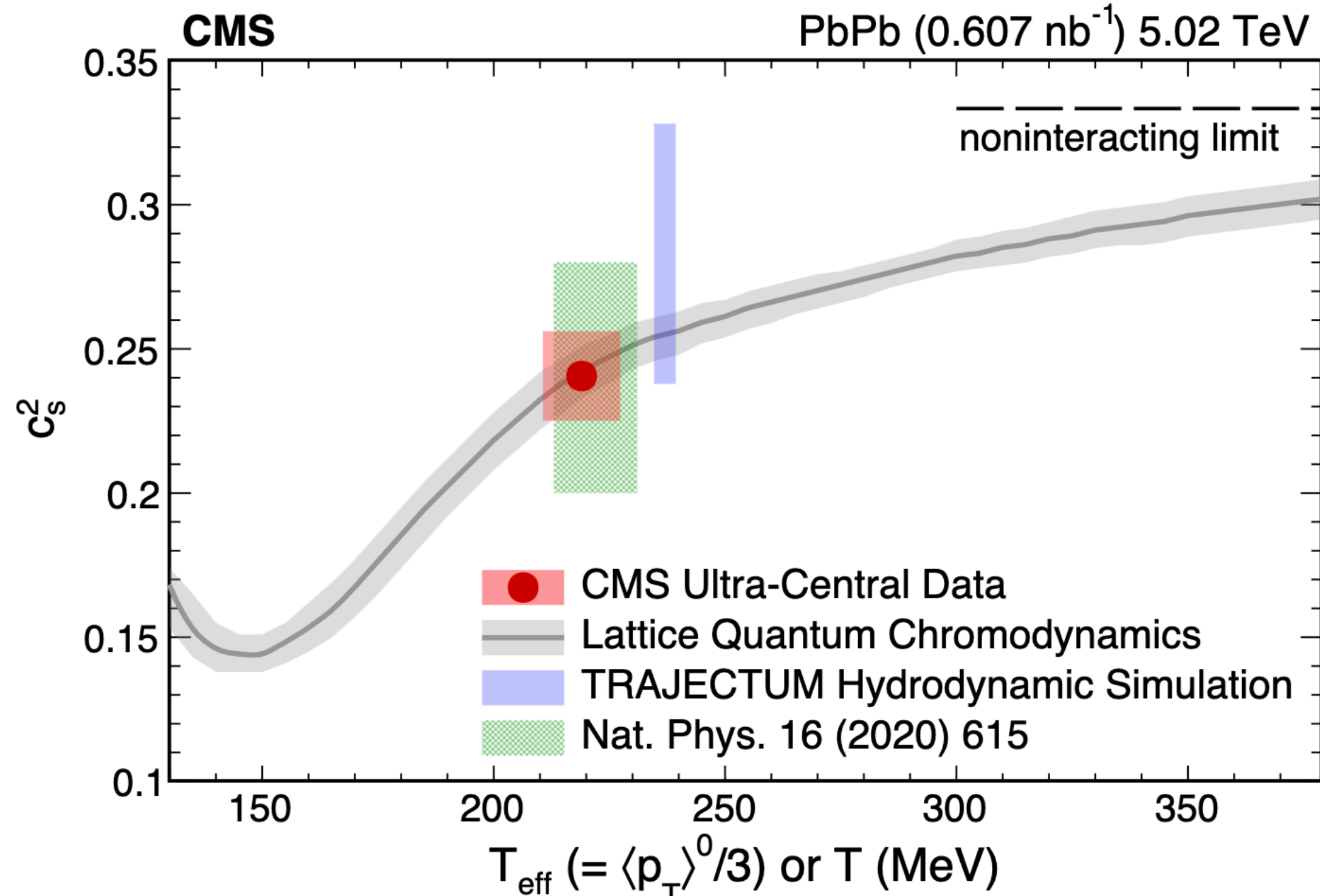


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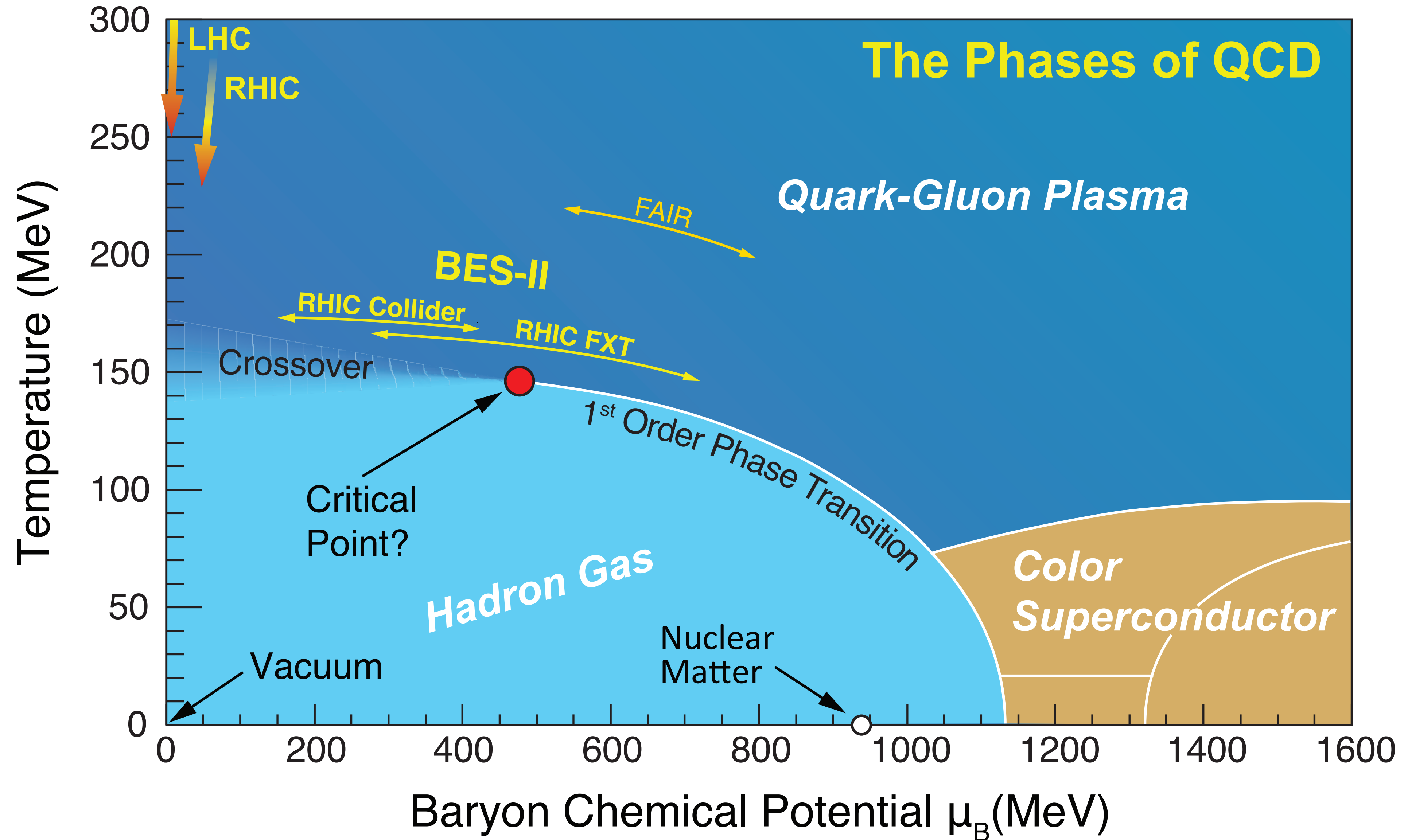


Data in excellent agreement with IQCD EoS

New data from ALICE suggest picture might be a bit more complicated

Is there a Critical Point?

Back to the phase diagram



Searching for a Critical Point

Critical Points:

divergence of susceptibilities

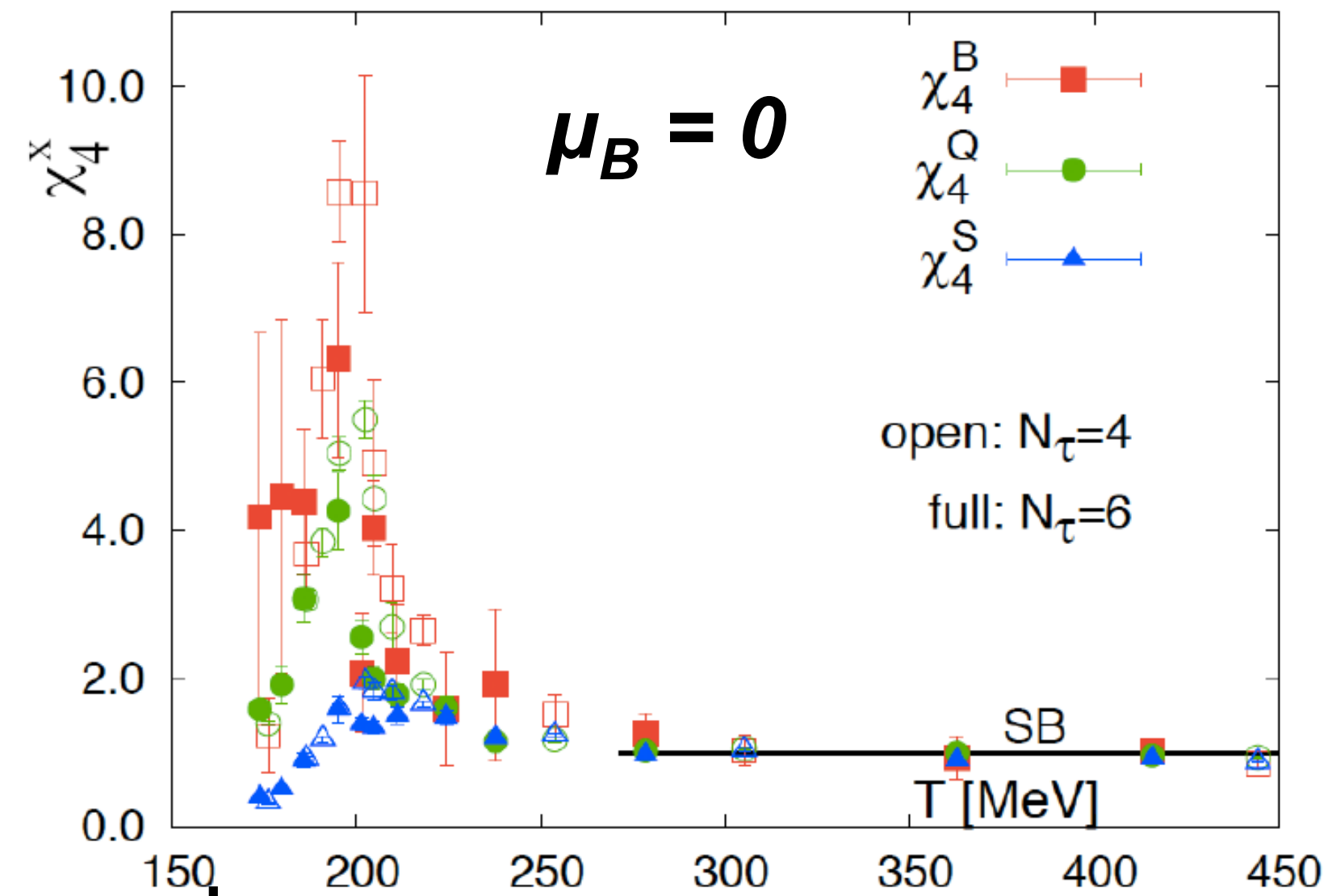
e.g. magnetism transitions

divergence of correlation lengths

e.g. critical opalescence

Lattice QCD:

Divergence of susceptibilities for conserved quantities (B,Q,S) at critical point



Searching for a Critical Point

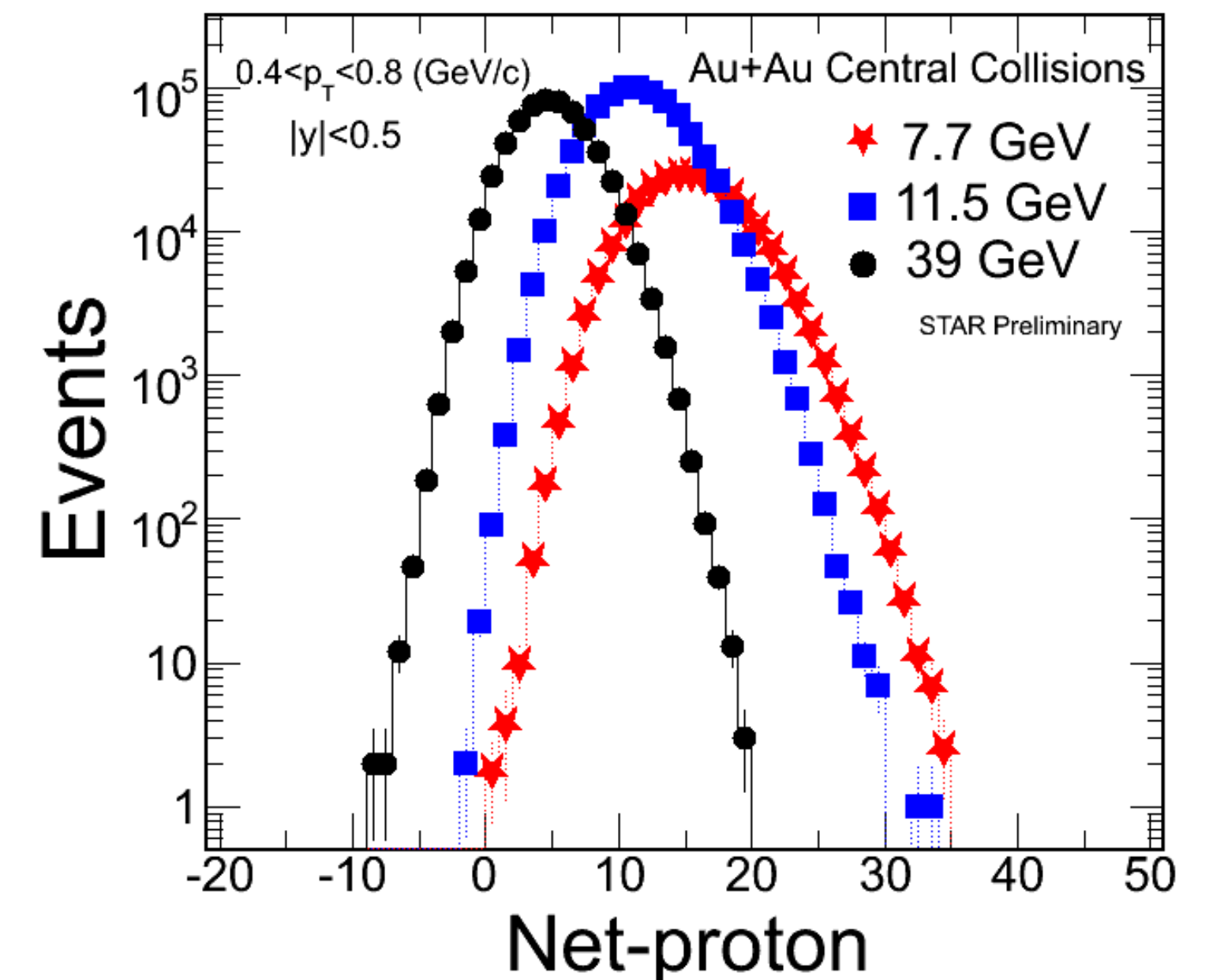
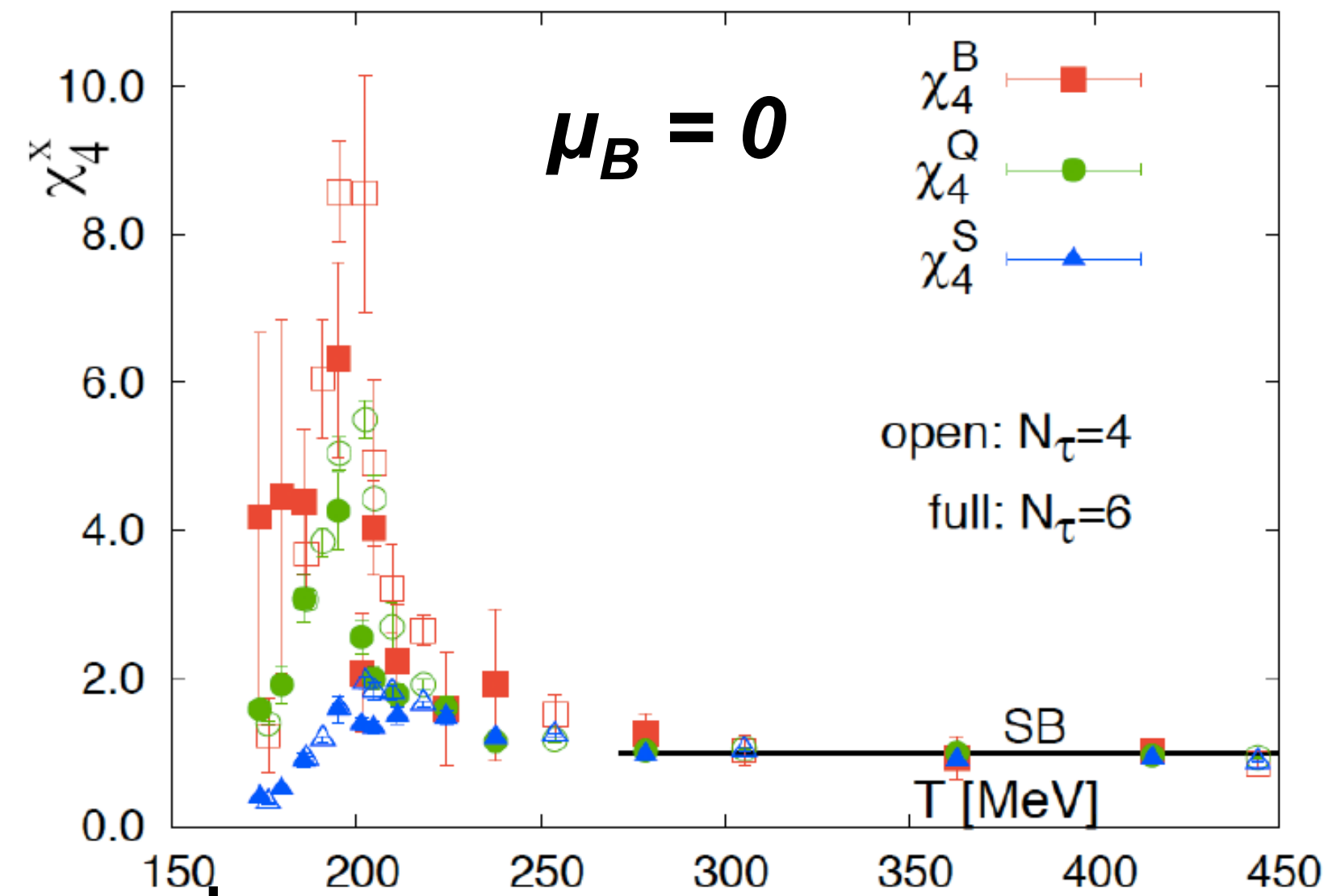
Critical Points:

- divergence of susceptibilities
e.g. magnetism transitions
- divergence of correlation lengths
e.g. critical opalescence

Lattice QCD:

Divergence of susceptibilities for conserved quantities (B,Q,S) at critical point

Divergences of conserved quantities may survive in the final state



Non-gaussian fluctuations of net-baryon density

Searching for CP

Particle number density, $N/V = n_k(T, \mu_k) = \frac{d_k}{(2\pi)^3} \int d^3\vec{p} \frac{1}{(-1)^{B_k+1} + \exp((\sqrt{\vec{p}^2 + m_k^2} - \mu_k)/T)} = (\partial p / \partial \mu_k)_T$

Theoretically susceptibilities of conserved quantities (B,Q,S) can be calculated :

$$\chi_{lmn}^{BSQ} = \frac{\partial^{l+m+n} (p/T^4)}{\partial(\mu_B/T)^l \partial(\mu_S/T)^m \partial(\mu_Q/T)^n}.$$

$$\delta N = N - \langle N \rangle$$

mean: $M = \langle N \rangle = VT^3 \chi_1,$

variance: $\sigma^2 = \langle (\delta N)^2 \rangle = VT^3 \chi_2,$

skewness: $S = \frac{\langle (\delta N)^3 \rangle}{\sigma^3} = \frac{VT^3 \chi_3}{(VT^3 \chi_2)^{3/2}},$

kurtosis: $\kappa = \frac{\langle (\delta N)^4 \rangle}{\sigma^4} - 3 = \frac{VT^3 \chi_4}{(VT^3 \chi_2)^2},$

Experiment measure event-by-event distribution of conserved quantities

Focus on net-proton as proxy for net-baryon

Take ratios to remove volume and T dependence

Searching for CP

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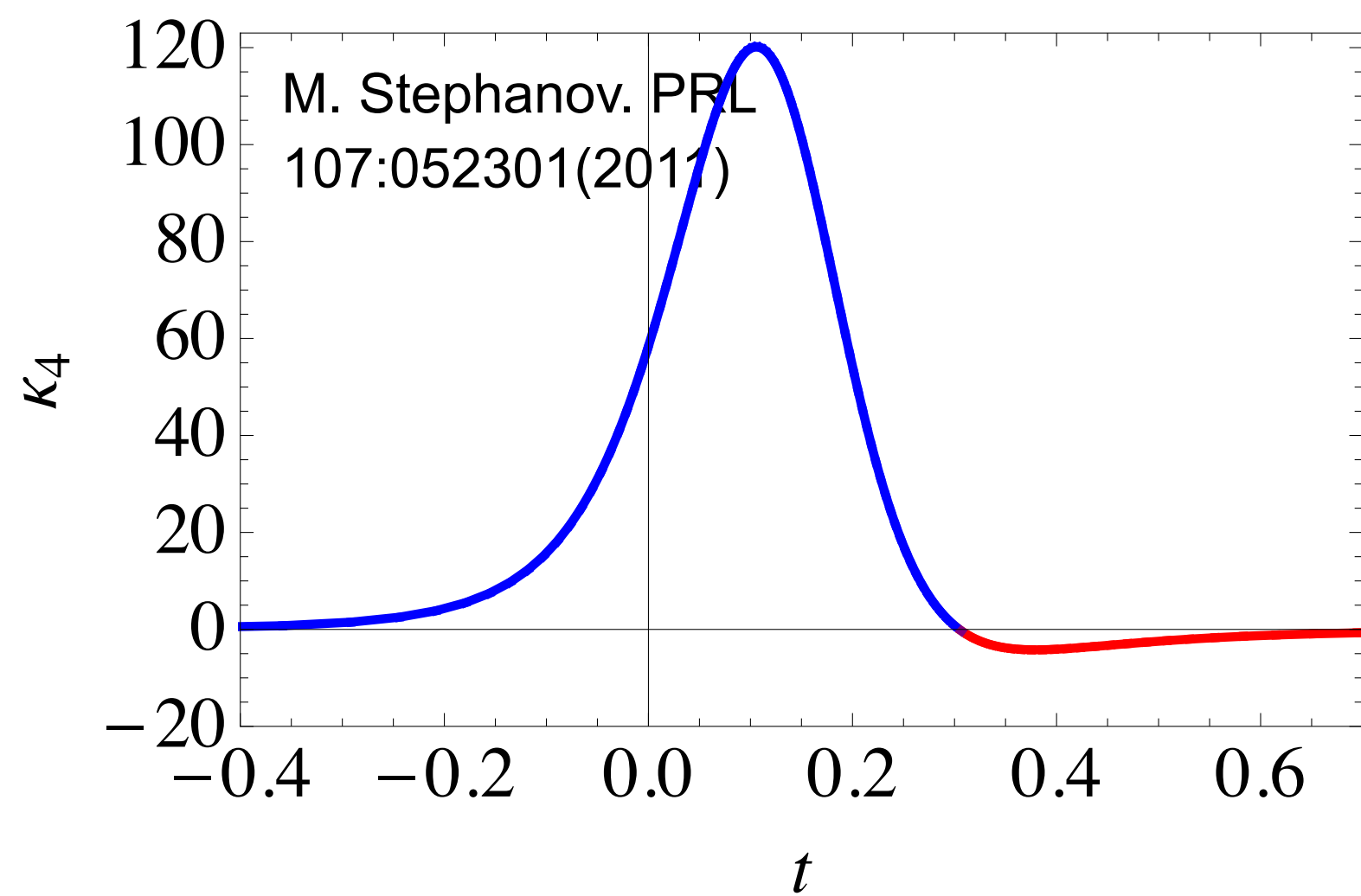
Focus on net-proton as proxy for net-baryon

Take ratios to remove volume and T dependence

$$\text{Kurtosis} \times \text{Variance}^2 \sim \chi^{(4)} / \chi^{(2)}$$

(Kurtosis - 4th moment - “tailiness” of distribution)

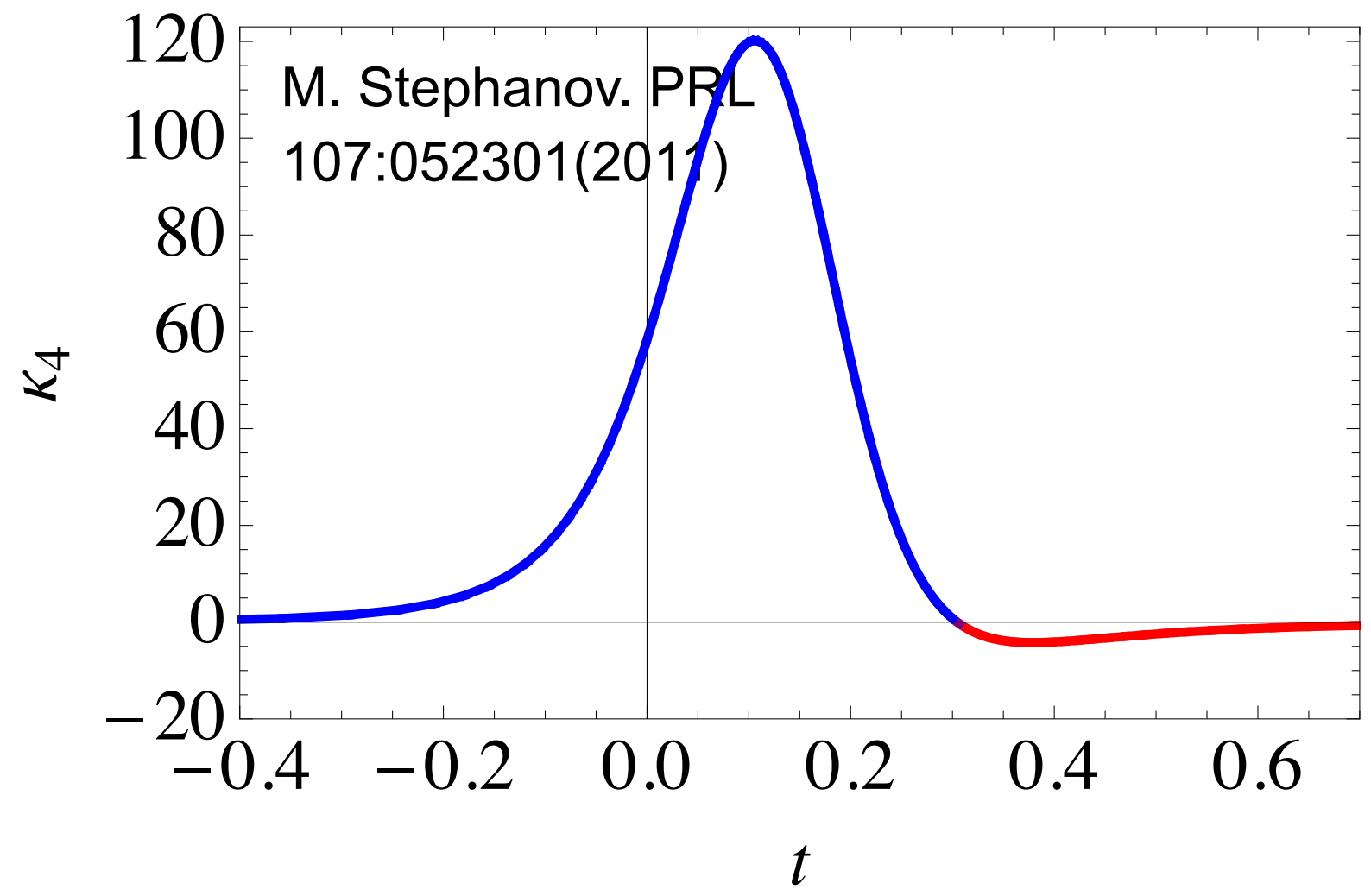
Presence of Critical Point?



Correlation lengths
diverge \rightarrow

Net-p $\kappa\sigma^2$ diverge

Presence of Critical Point?



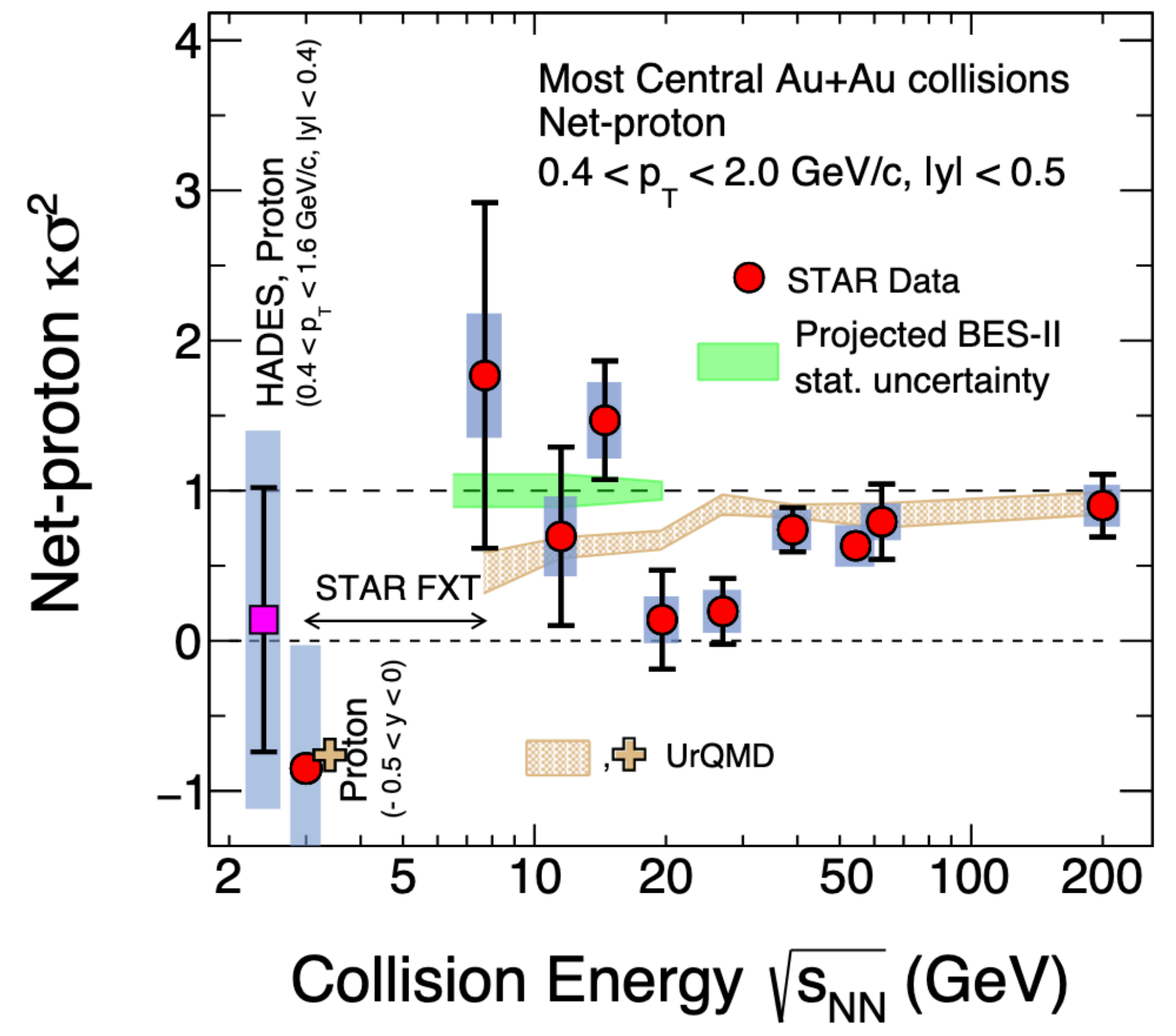
Correlation lengths
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Top 5% central collisions:

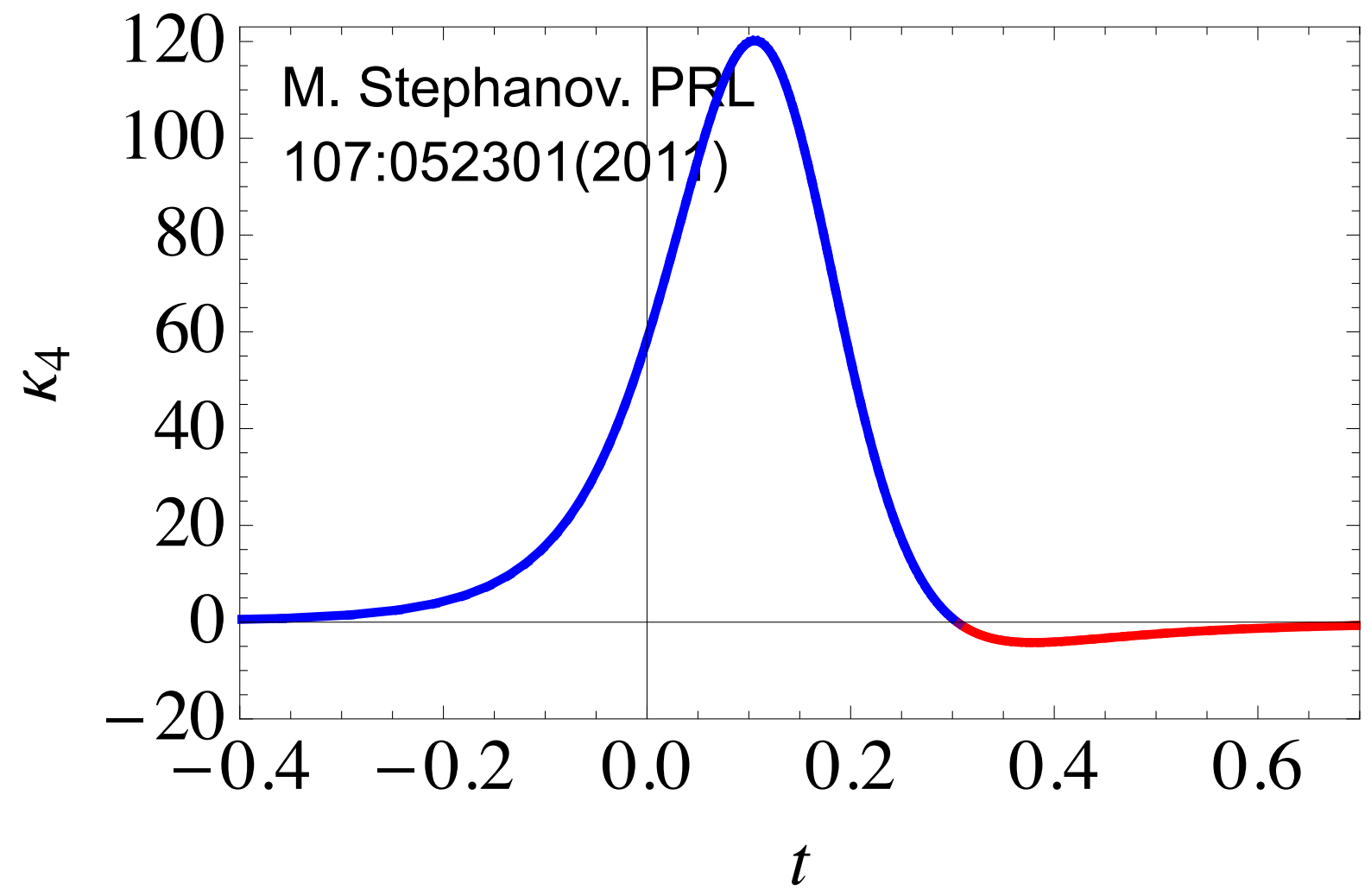
- Non-monotonic behavior
- Enhanced p_T range \rightarrow enhanced signal
- Not see in peripheral data

UrQMD (no Critical Point):

- shows suppression at lower energies
- due to baryon number conservation



Presence of Critical Point?



Correlation lengths diverge \rightarrow
 Net-p $\kappa\sigma^2$ diverge

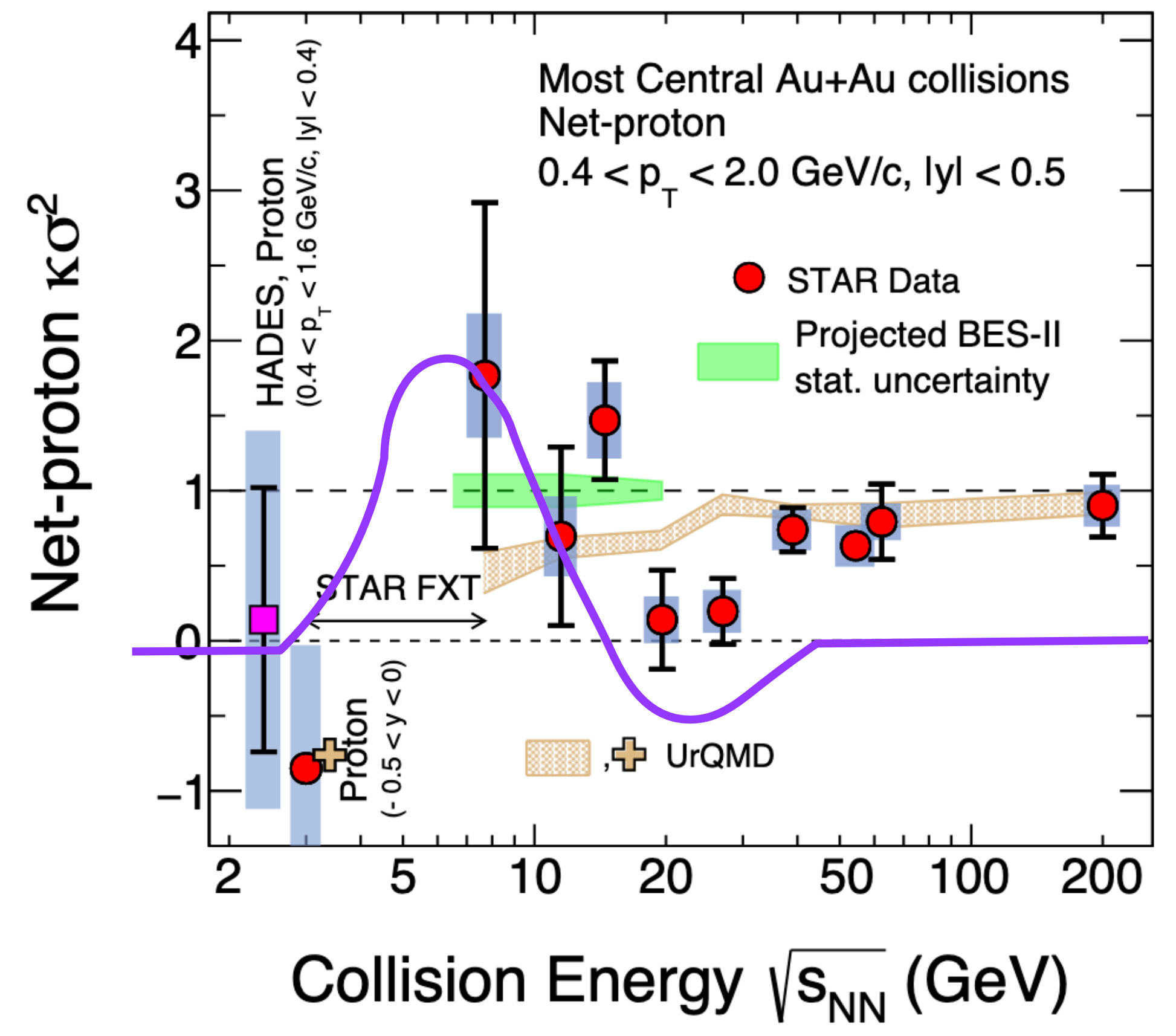
Hints of Critical fluctuations
 More data needed

Top 5% central collisions:

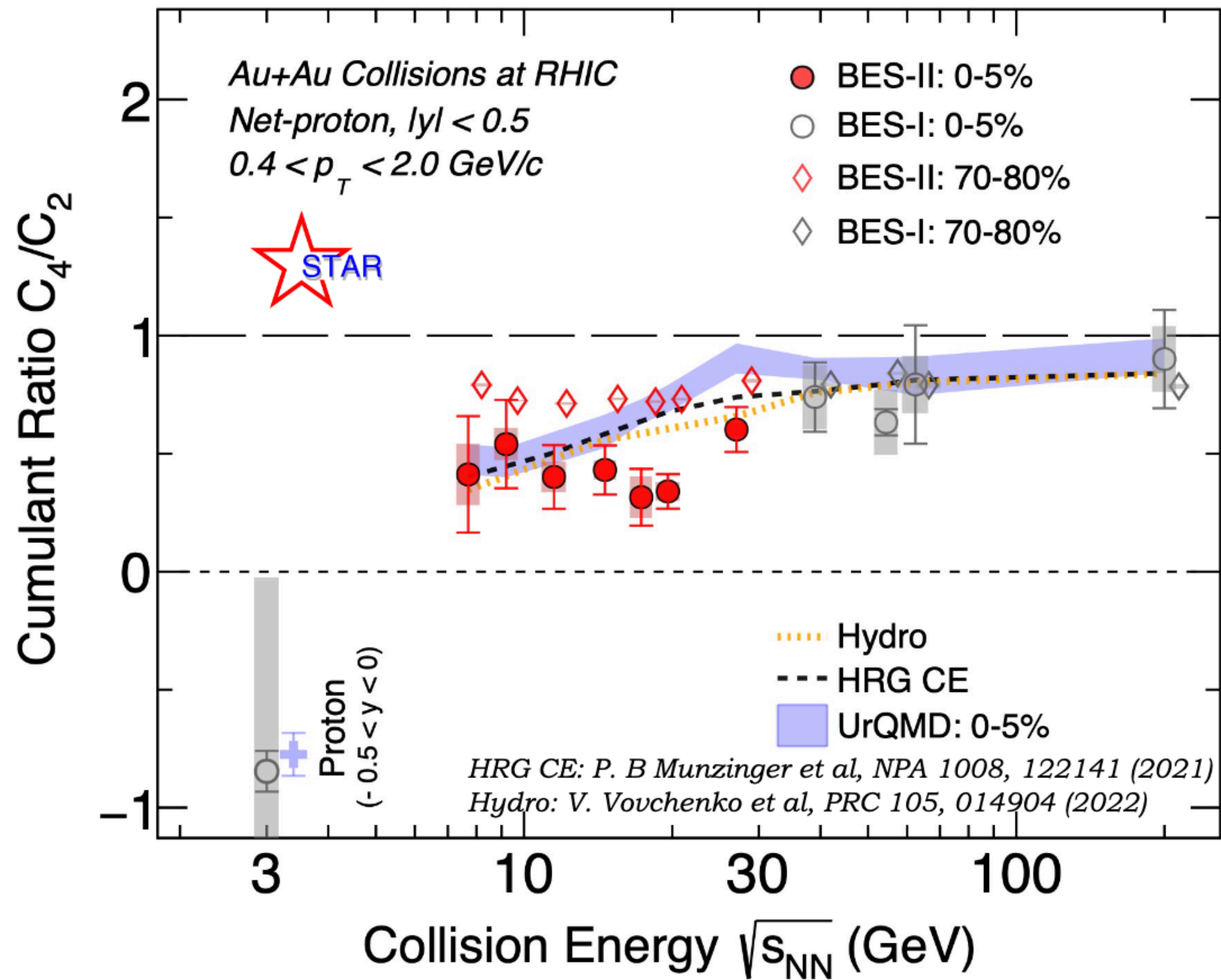
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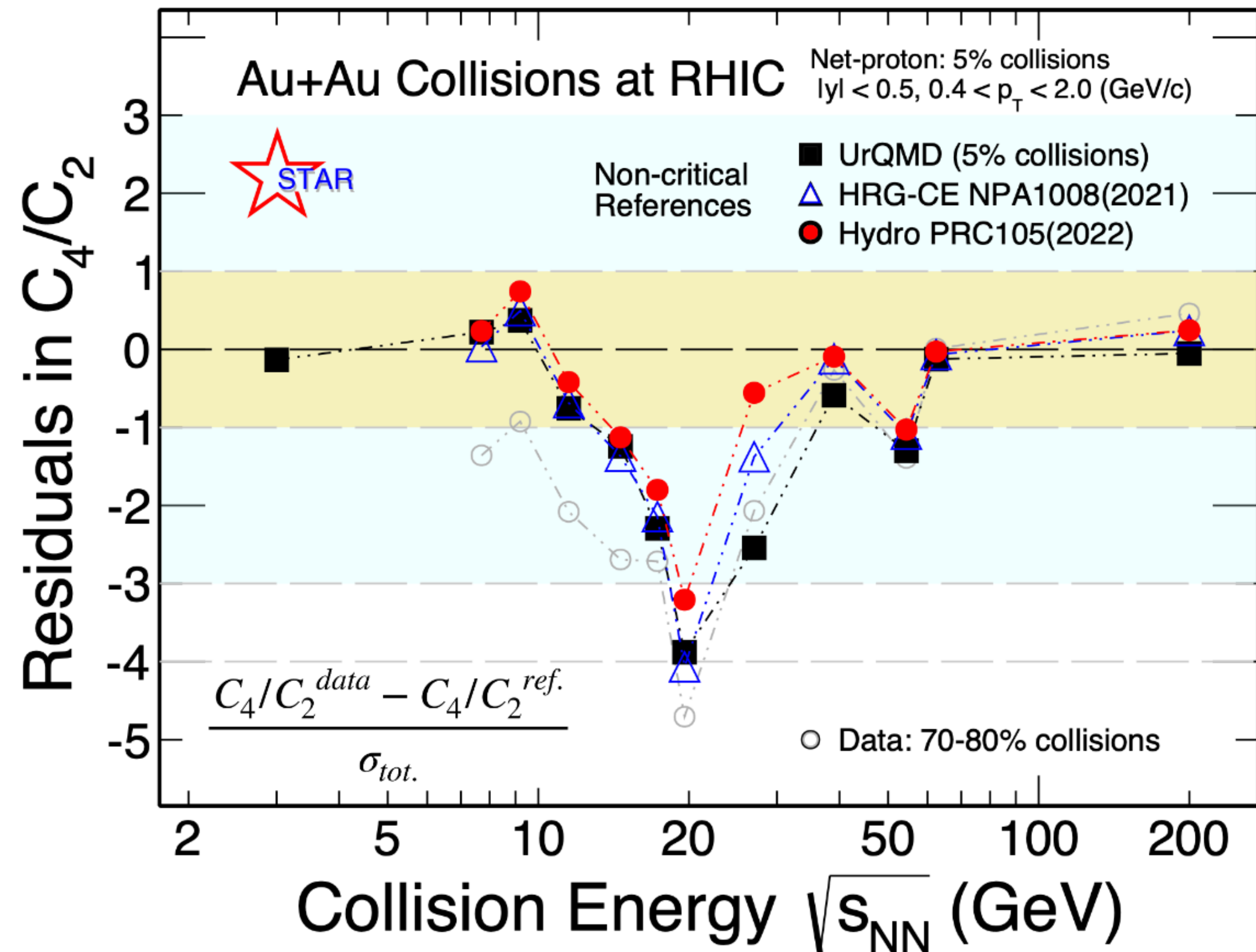
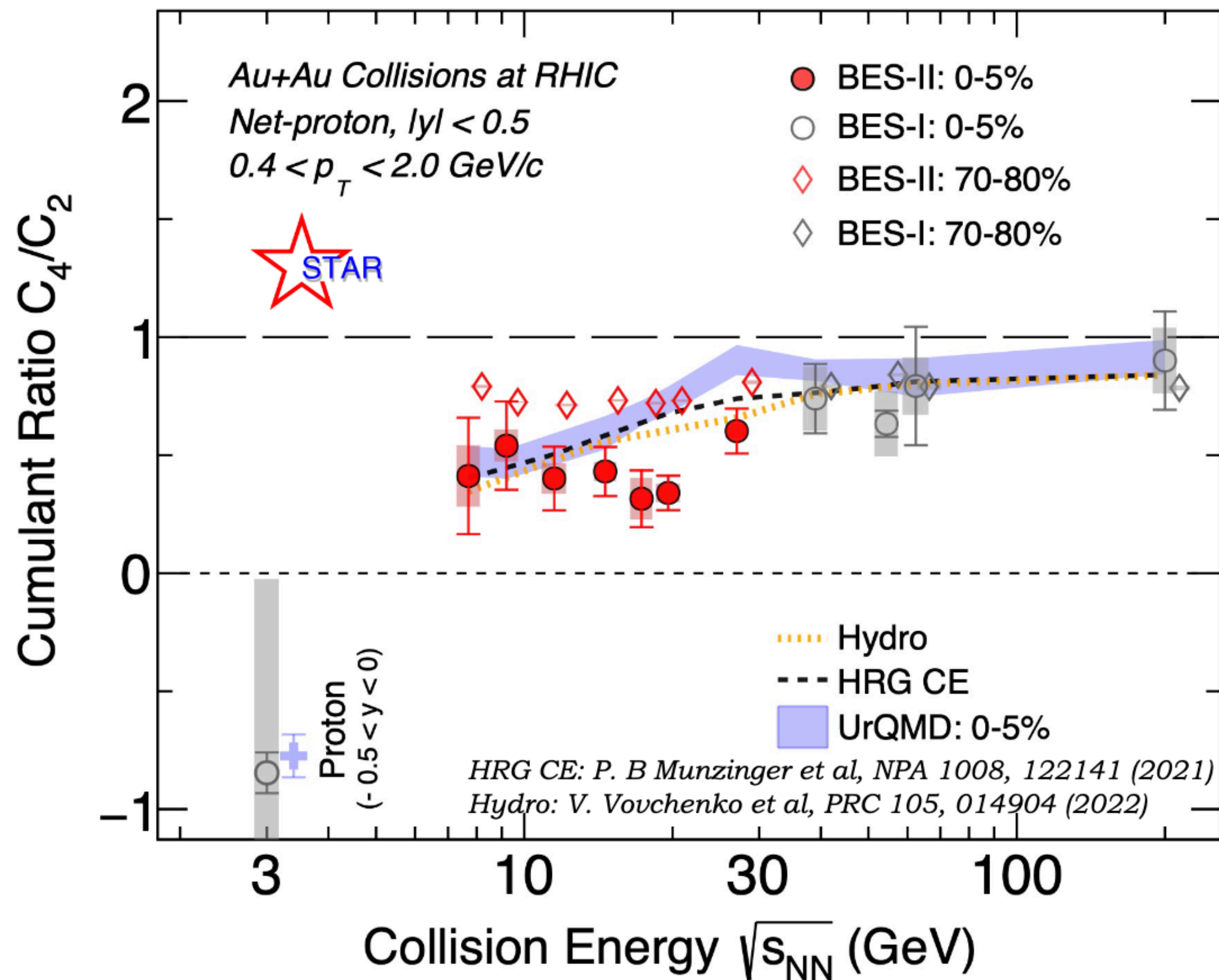
- shows suppression at lower energies
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BES-II data released this month



BES-II data released this month



C_4/C_2 ($\kappa\sigma^2$) minimum around ~ 20 GeV comparing to non-CEP models and 70-80% data

Maximum deviation: $3.2 - 4.7\sigma$ at ~ 20 GeV

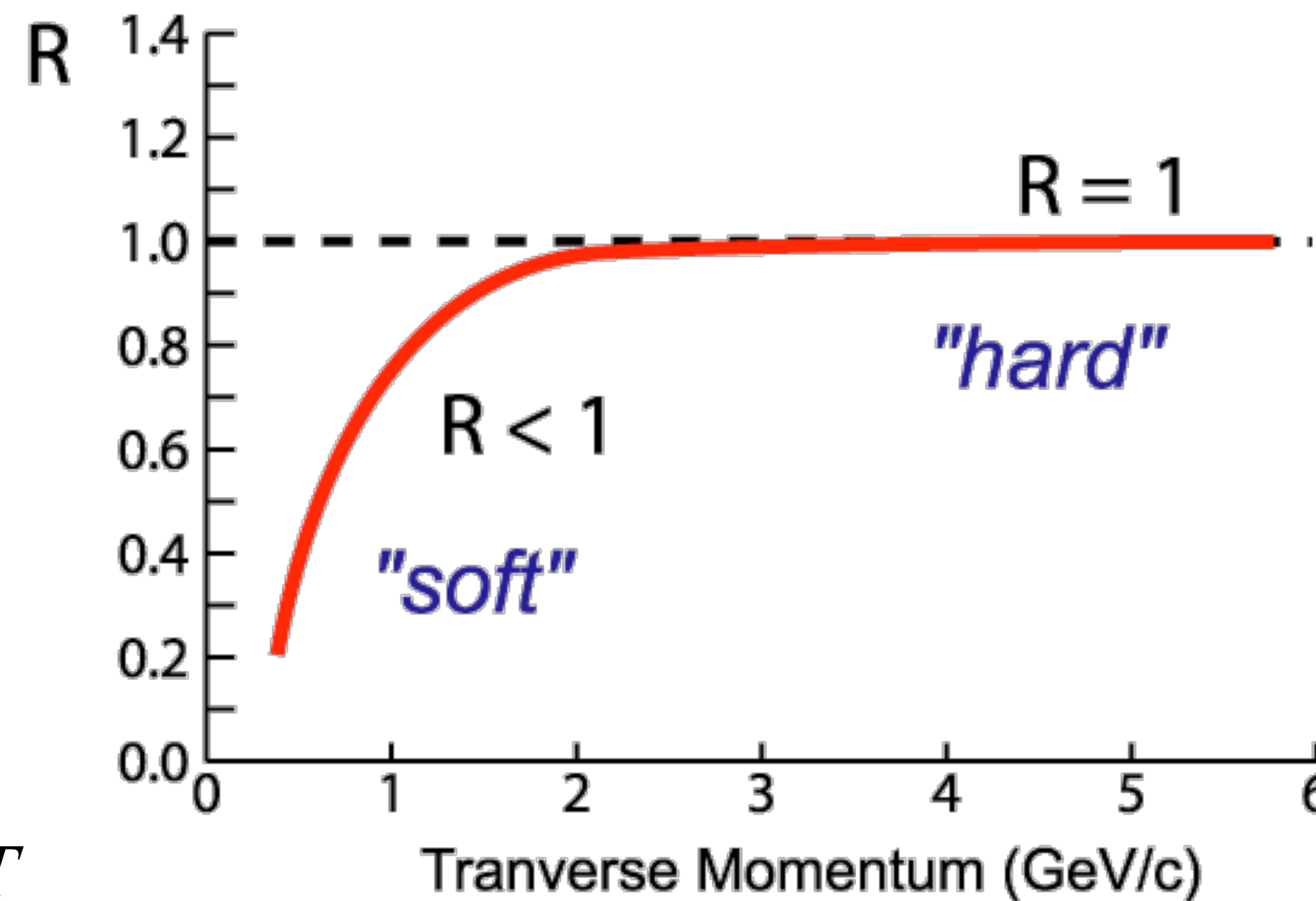
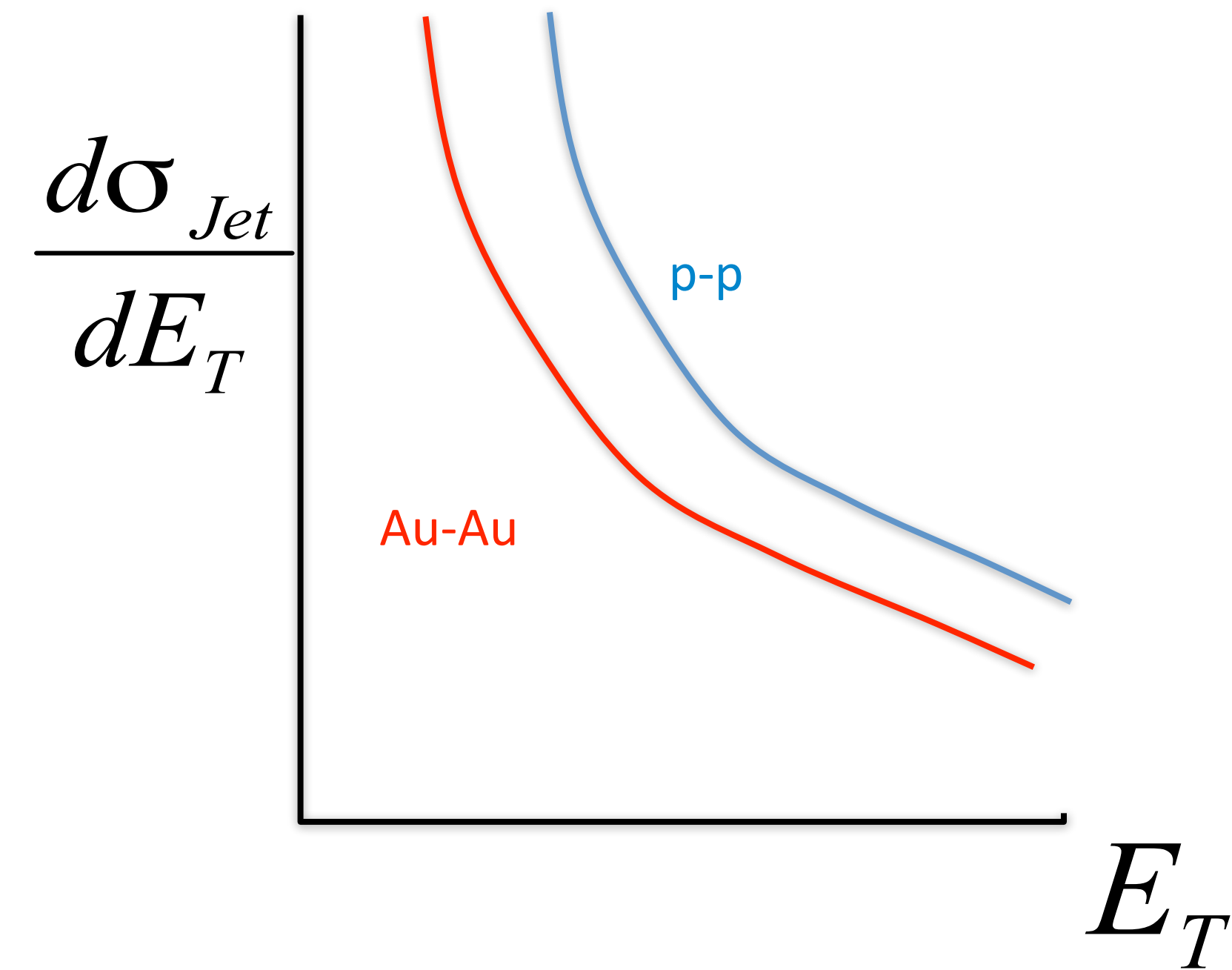
**Can we understand the nature of
parton interactions with the QGP?**

How do partons interact with the QGP?

Nuclear
Modification
Factor:

$$R_{AA}(p_T) = \frac{Yield(A+A)}{Yield(p+p) \times \langle N_{coll} \rangle}$$

Average number of p+p
collisions in A+A collision

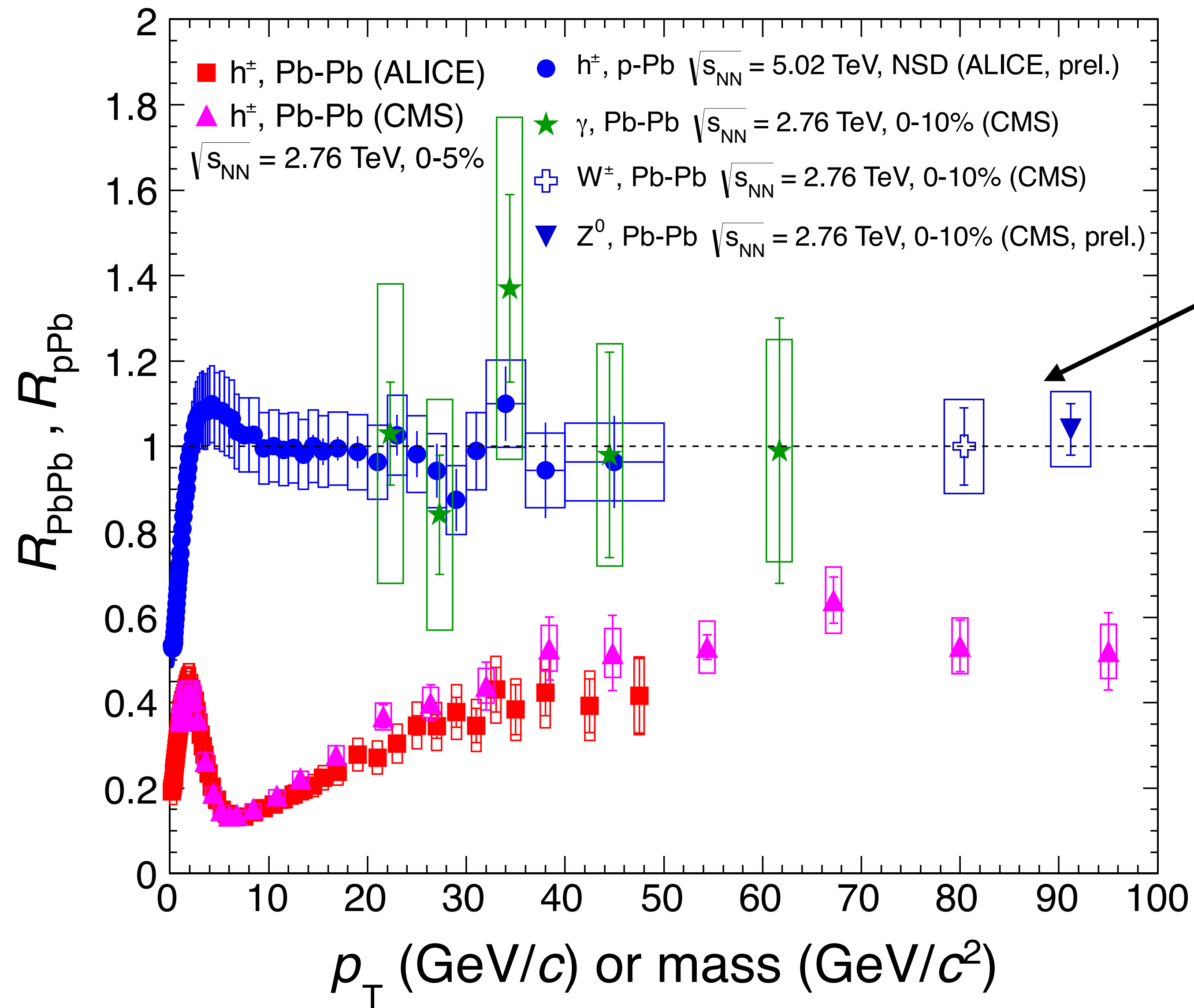


No "Effect":
 $R < 1$ at small momenta -
production from thermal
bath

$R = 1$ at higher momenta
where hard processes
dominate

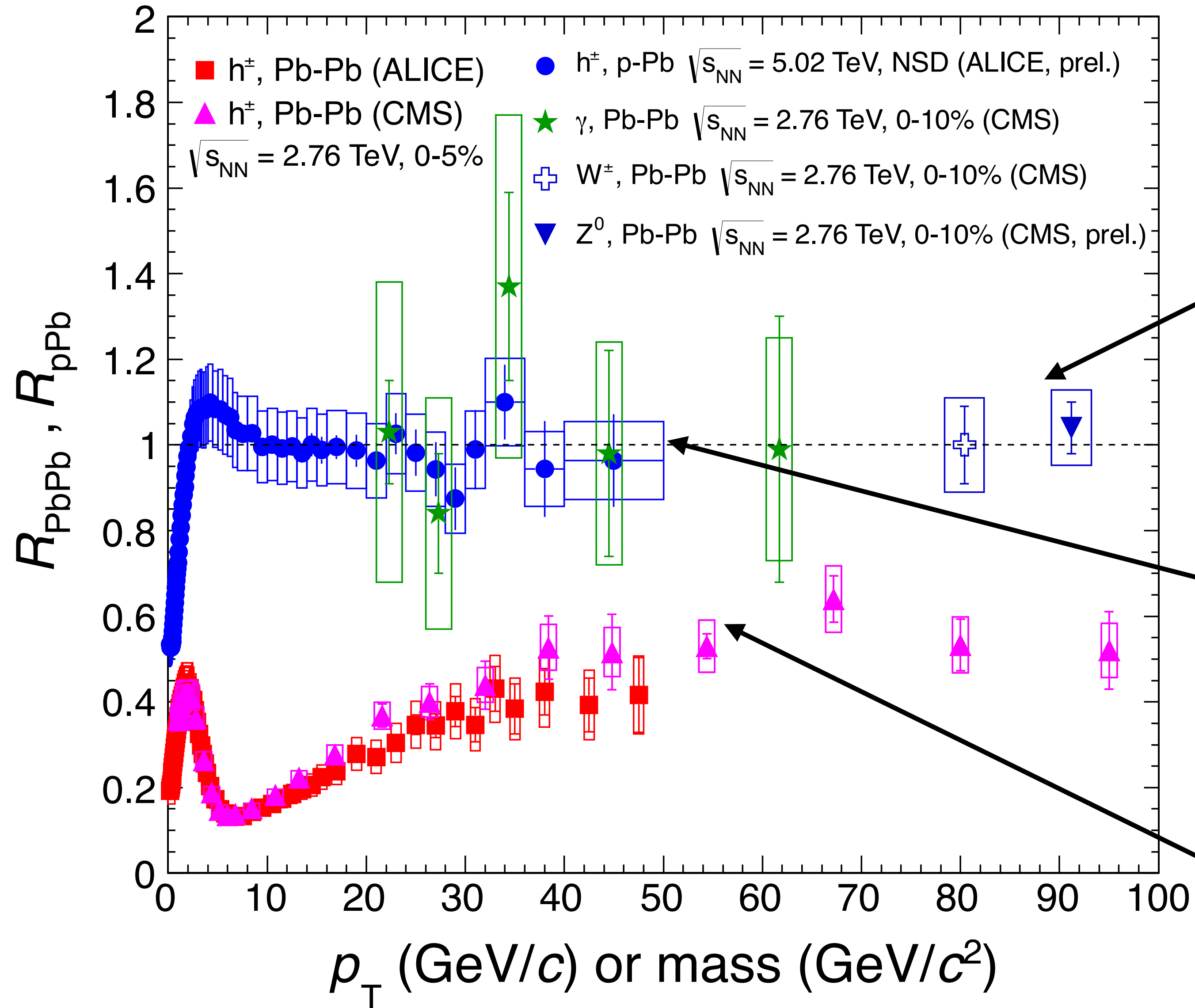
$R < 1$ at high p_T if QGP
affecting partons' propagation

Strong “jet quenching” observed



Colorless objects should not interact with colored QGP show no suppression

Strong “jet quenching” observed

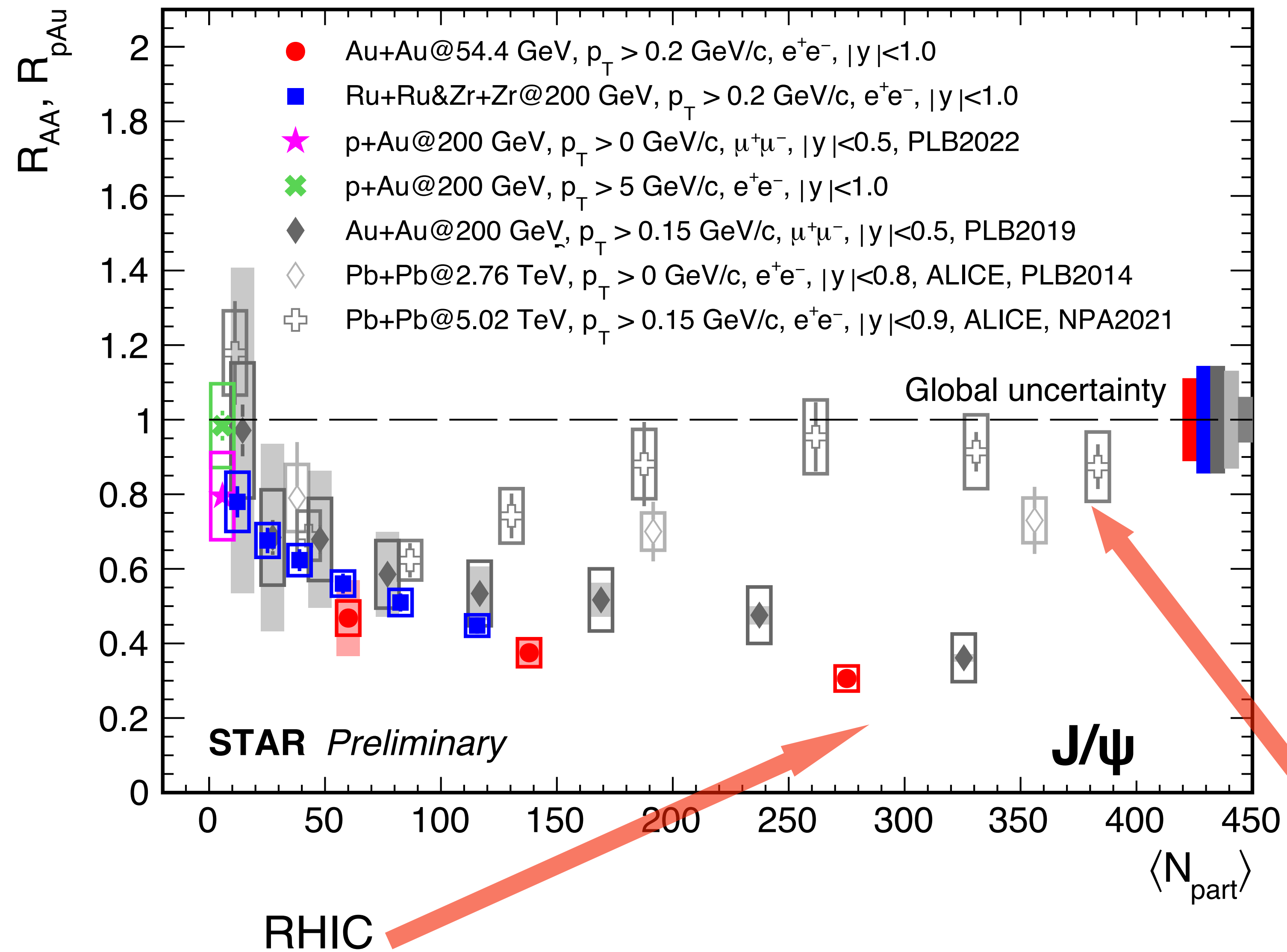


Colorless objects should not interact with colored QGP
show no suppression

Minimum bias p+Pb collisions don't form QGP
 R_{pPb} shows no suppression

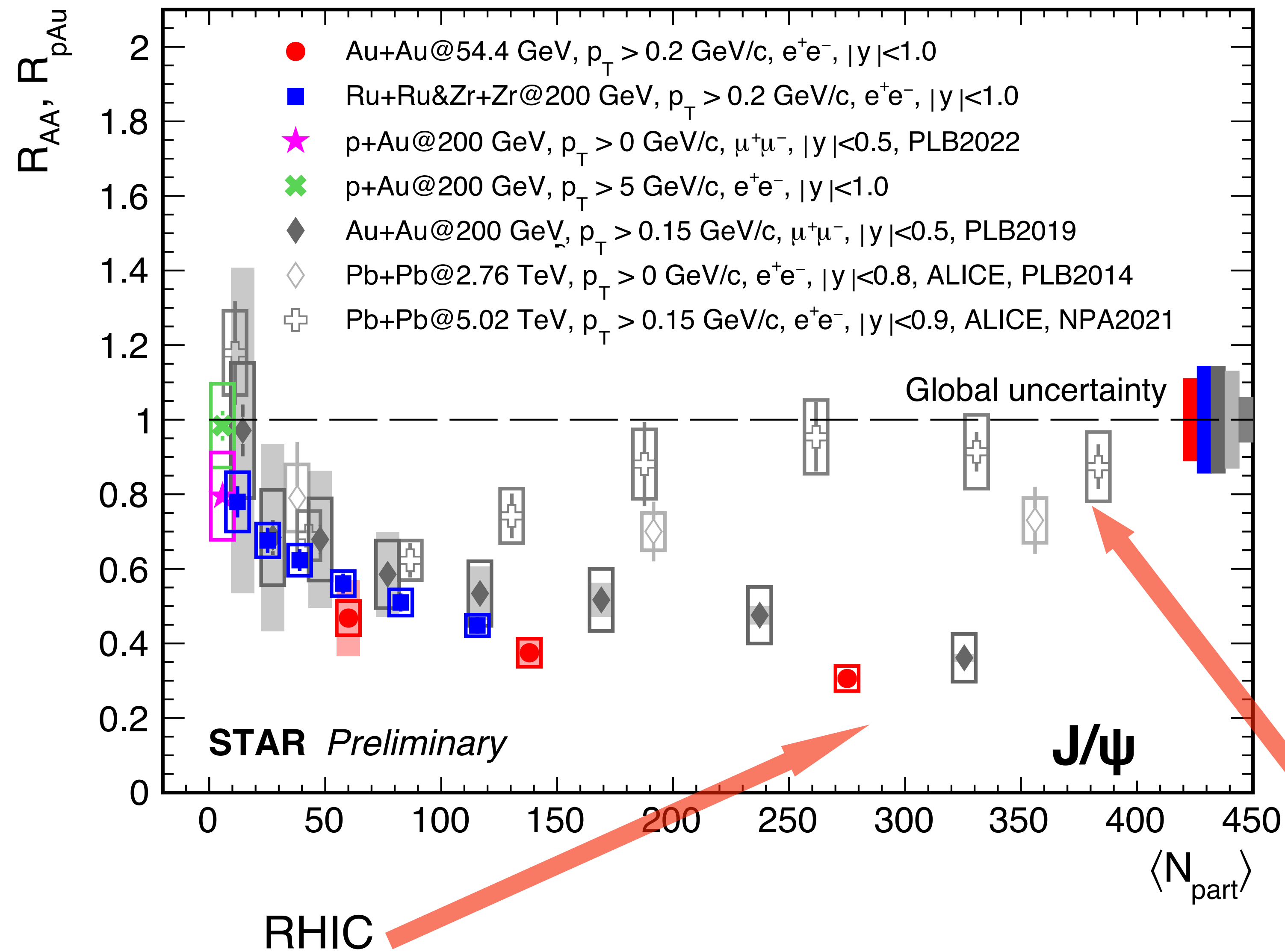
QGP opaque to colored objects - its a strongly coupled medium

What about charmonia?



Much more suppression at RHIC than at the LHC!

What about charmonia?



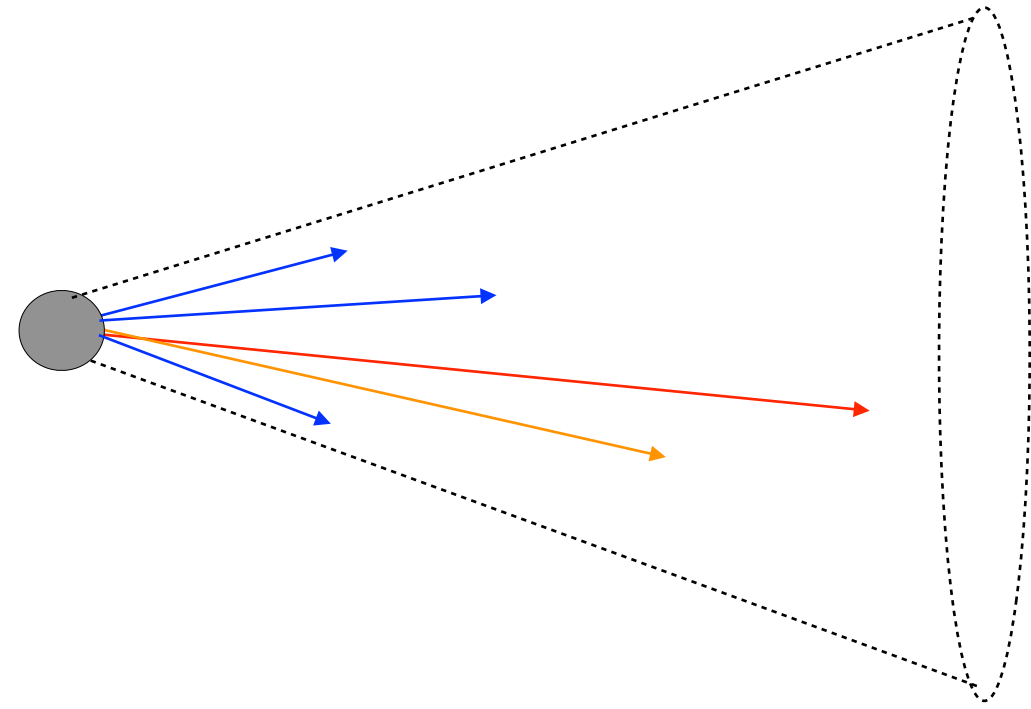
Much more suppression at RHIC than at the LHC!

J/ψ melts but also regenerates

RHIC much less regeneration in the medium
(only a few c quarks created, once melted don't reform)

What about looking at jets?

p and E **MUST** be conserved even with quenched jets

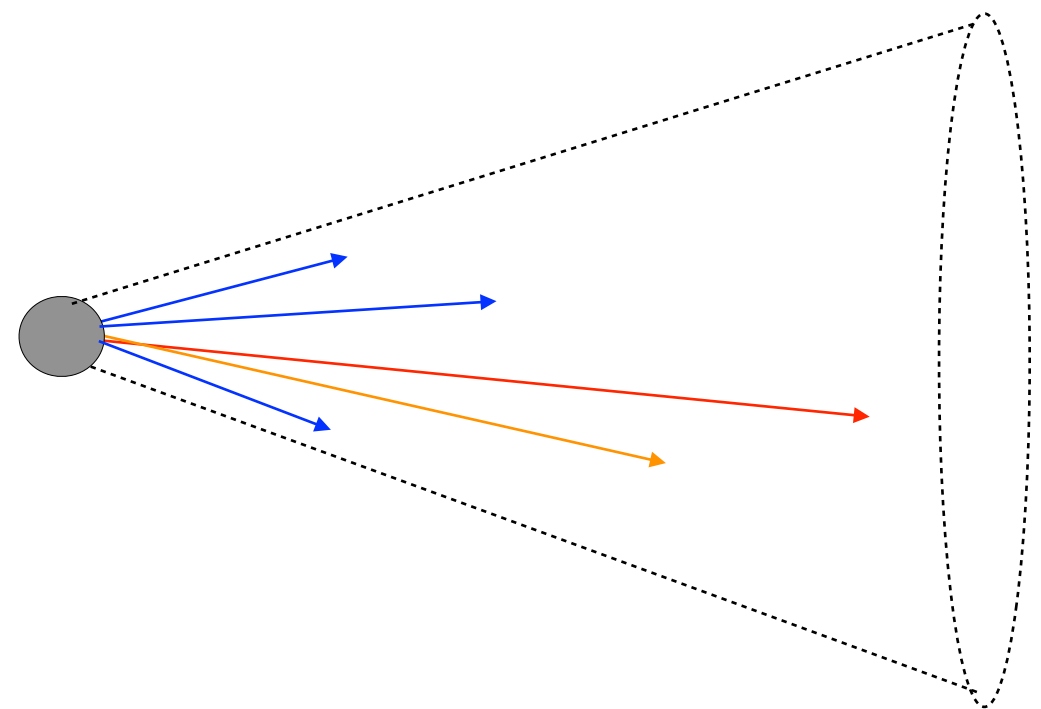


Can we restore “quenched” energy by looking at jets?

Study nuclear modification factor (R_{AA}) of jets

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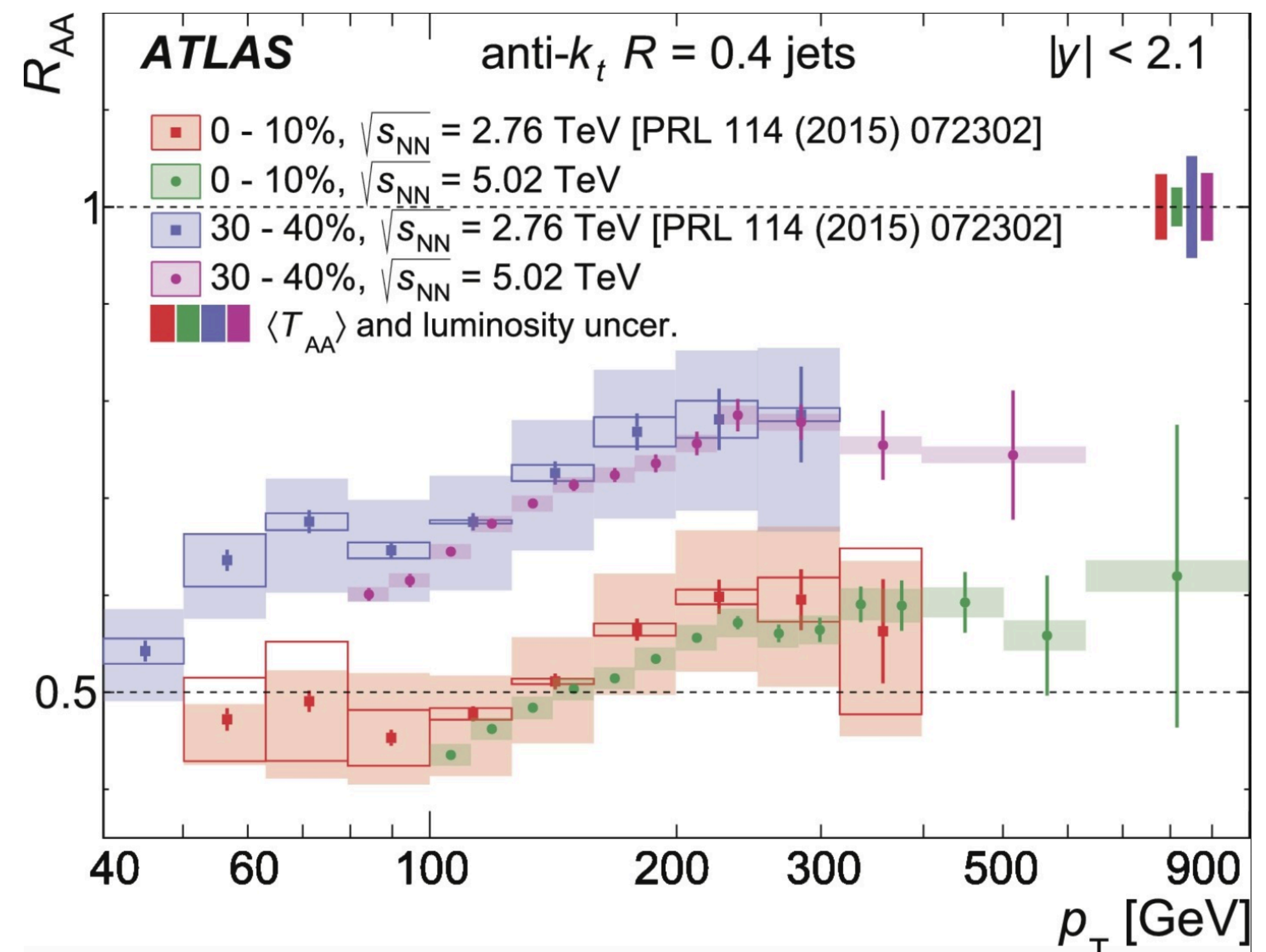
Quenched energy not recovered

$$R_{AA}(5 \text{ TeV}) \sim R_{AA}(2.76 \text{ TeV})$$

Compensating effects of higher E_{loss} and flatter p_T spectrum

Can we restore “quenched” energy by looking at jets?

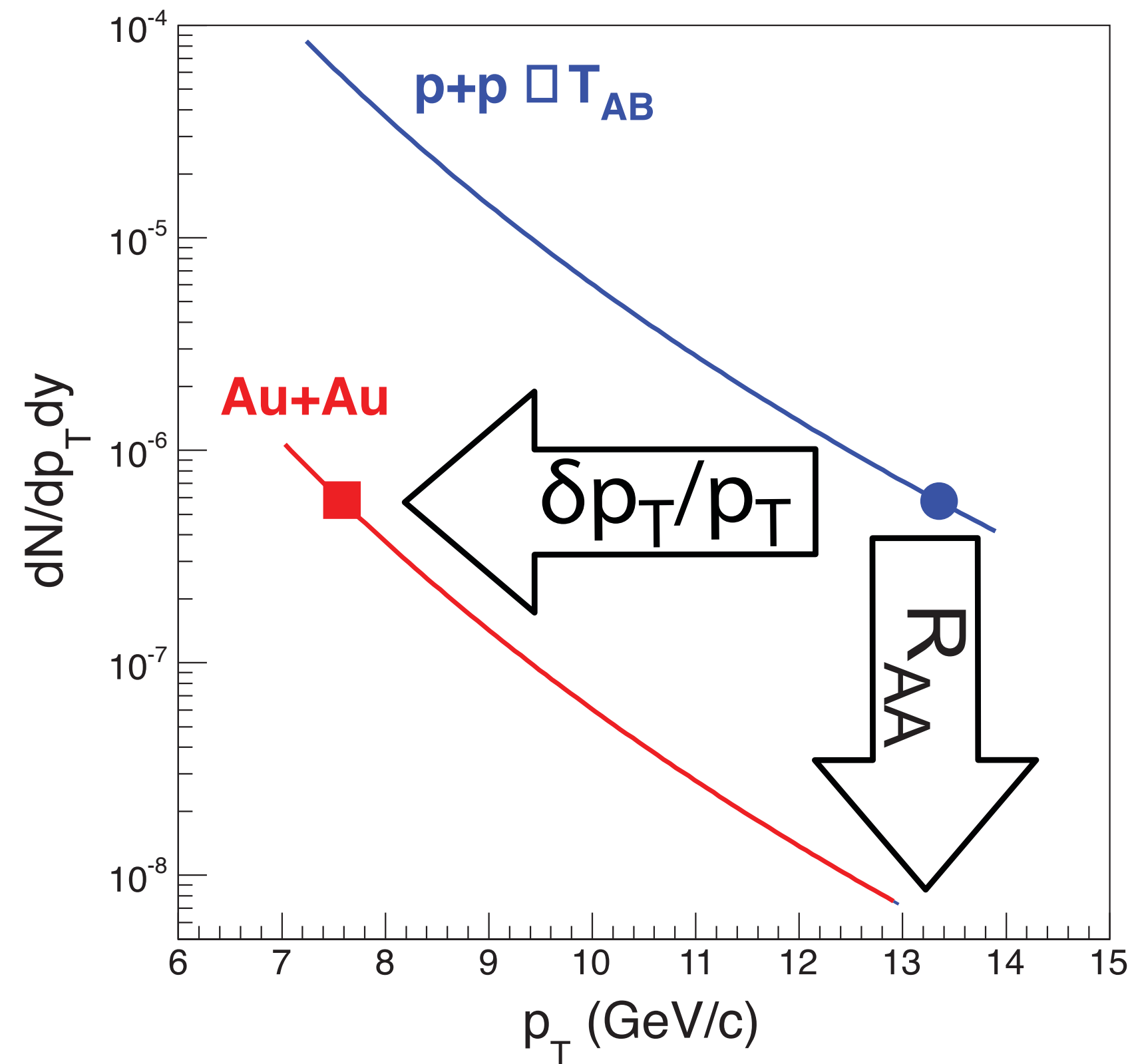
Study nuclear modification factor (R_{AA}) of jets



Opacity/stopping power of QGP

Measure fractional momentum loss

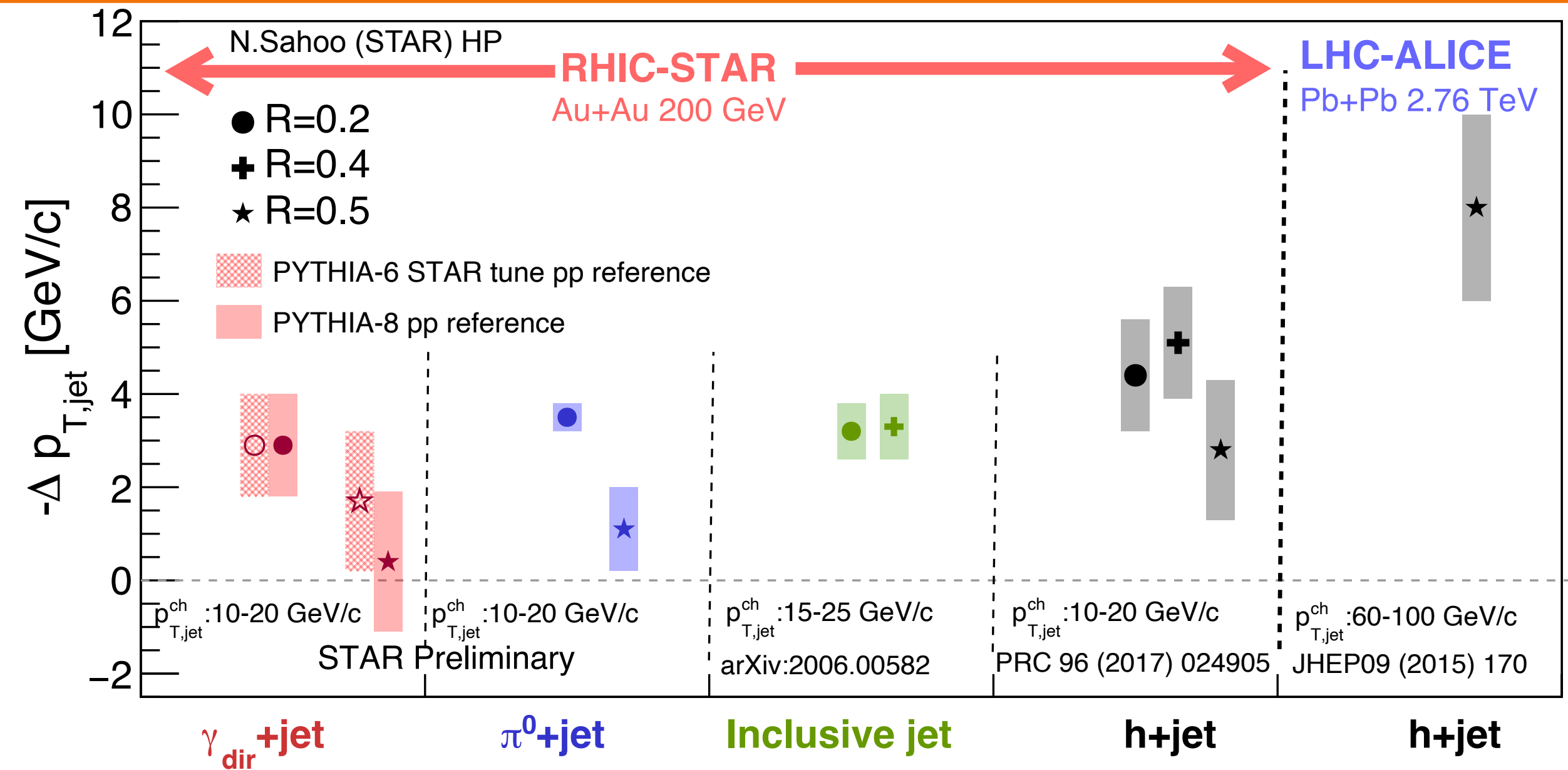
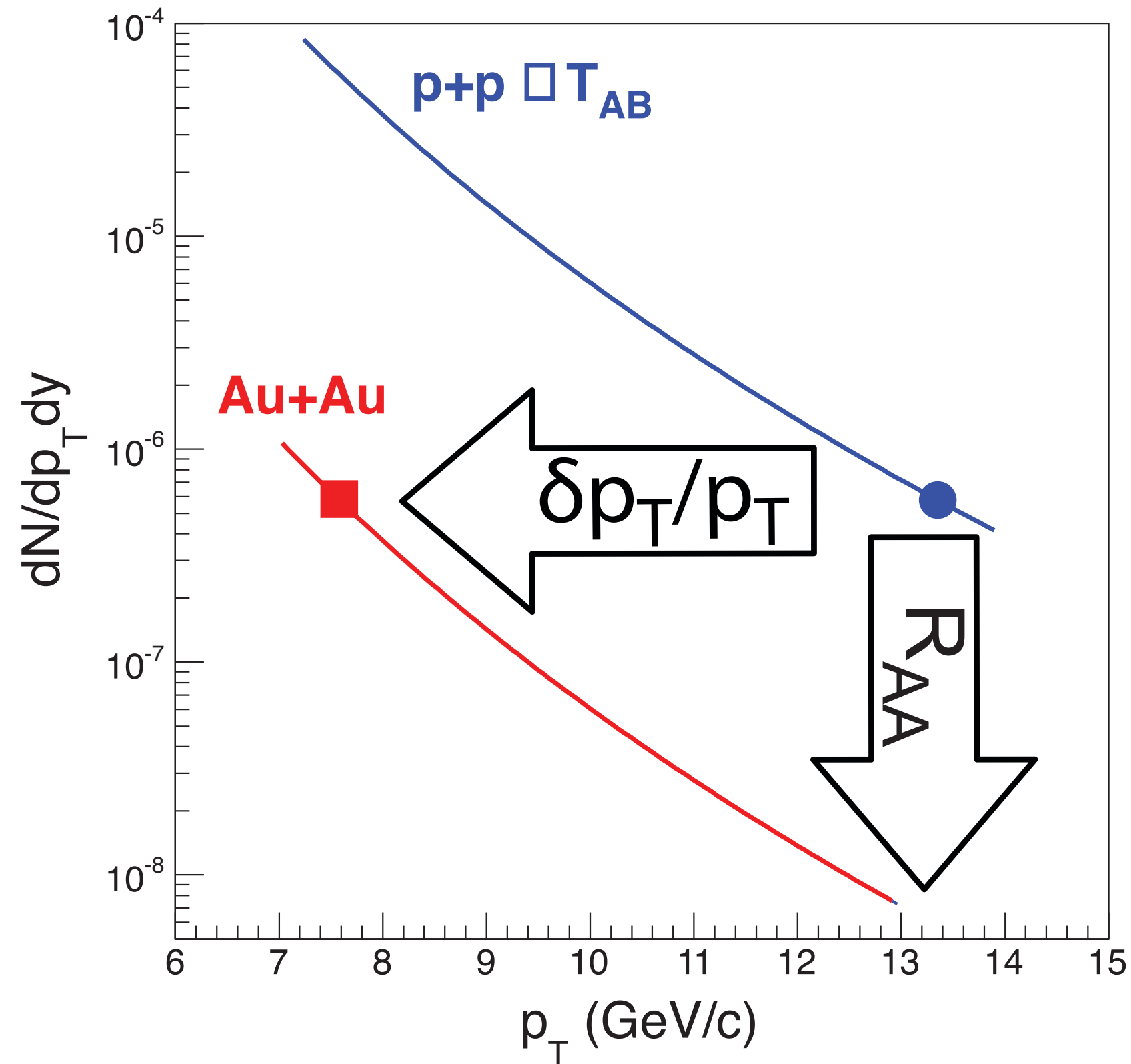
$\delta p_T/p_T$ instead of R_{AA}



Opacity/stopping power of QGP

Measure fractional momentum loss

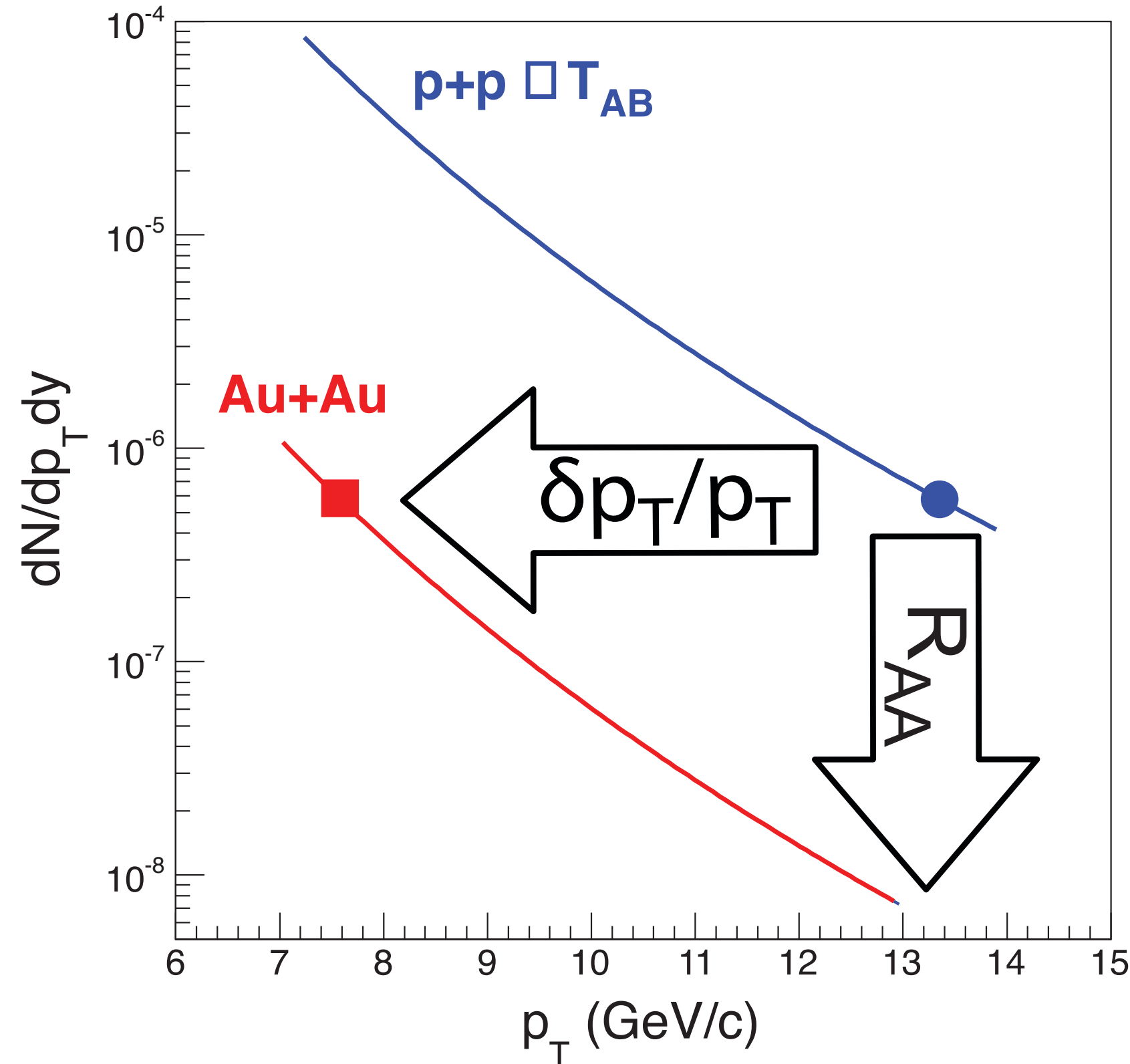
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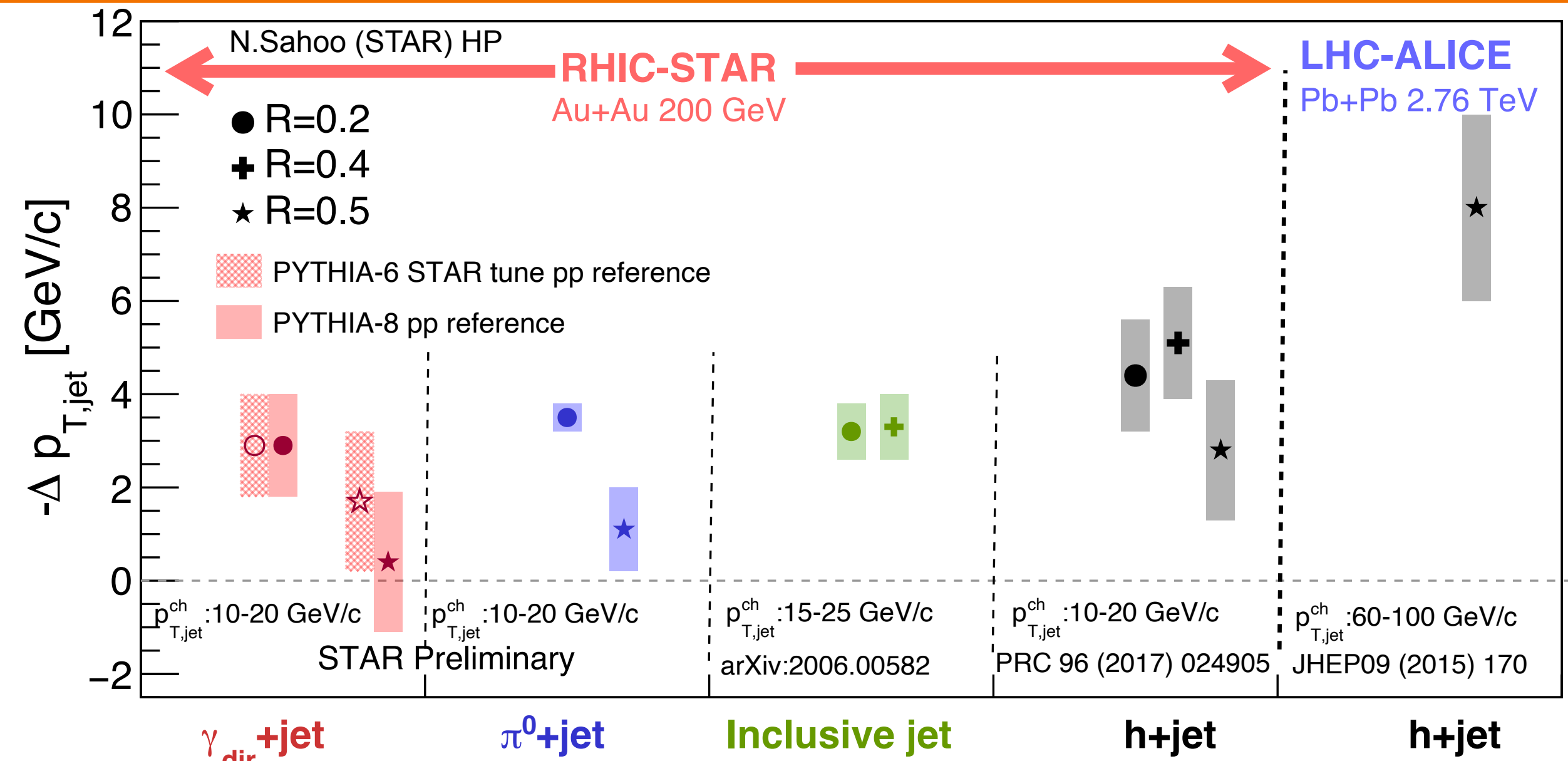
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Measure fractional momentum loss

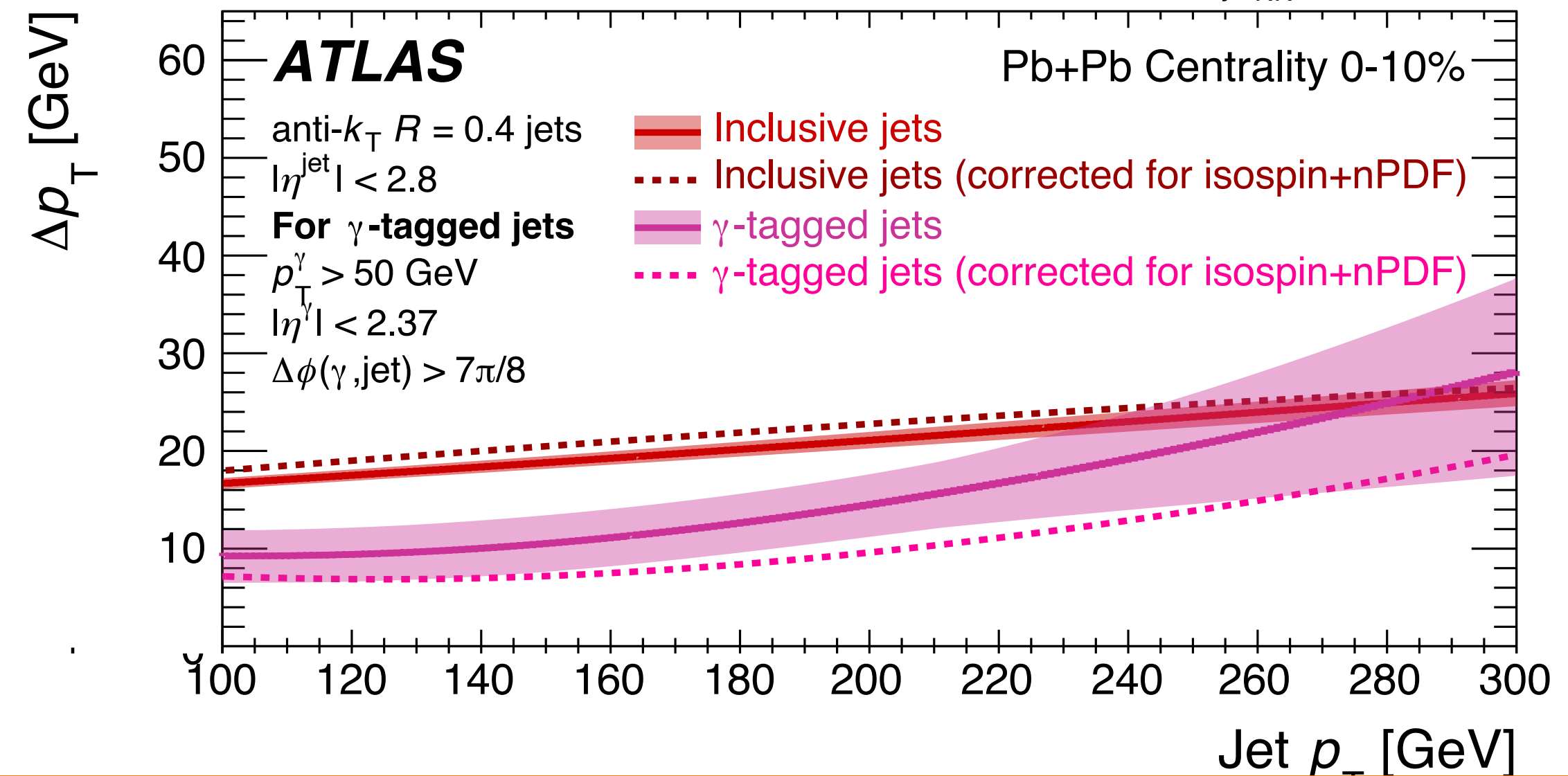
$\delta p_T/p_T$ instead of R_{AA}



Δp_T (RHIC) < Δp_T (LHC)
 Δp_T (quark) < Δp_T (g)

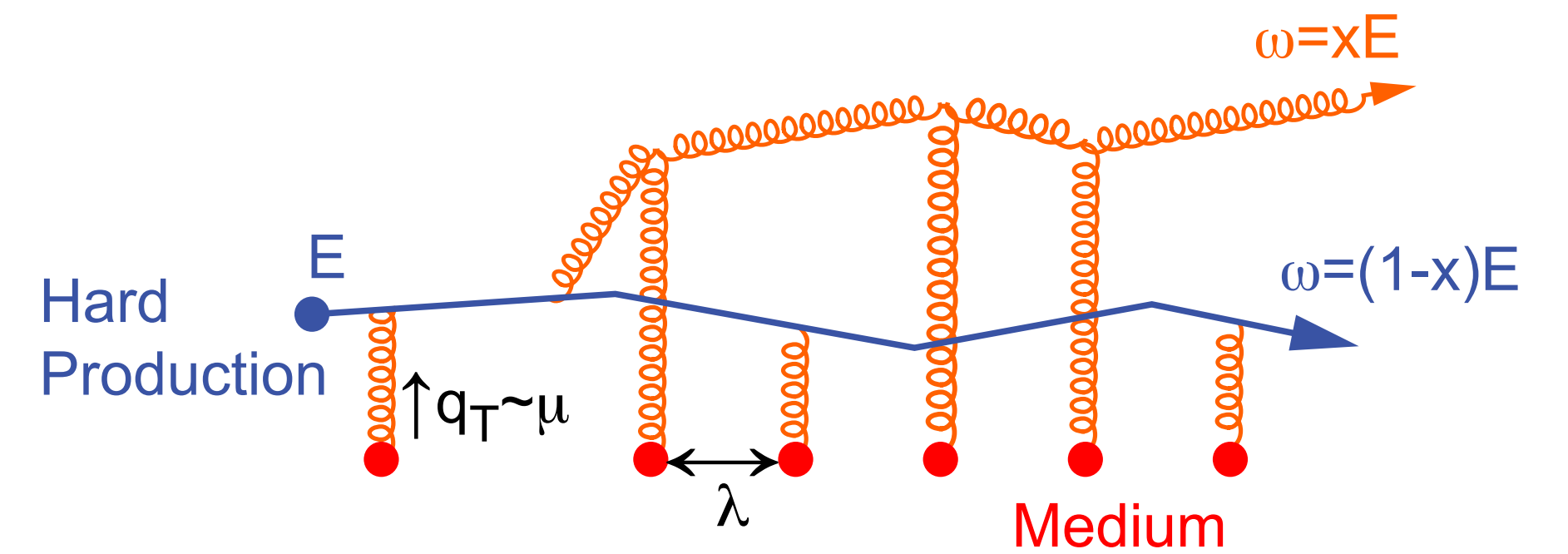


2018 Pb+Pb 1.7 nb⁻¹, 2017 pp 260 pb⁻¹, $\sqrt{s_{NN}} = 5.02$ TeV



So what is happening?

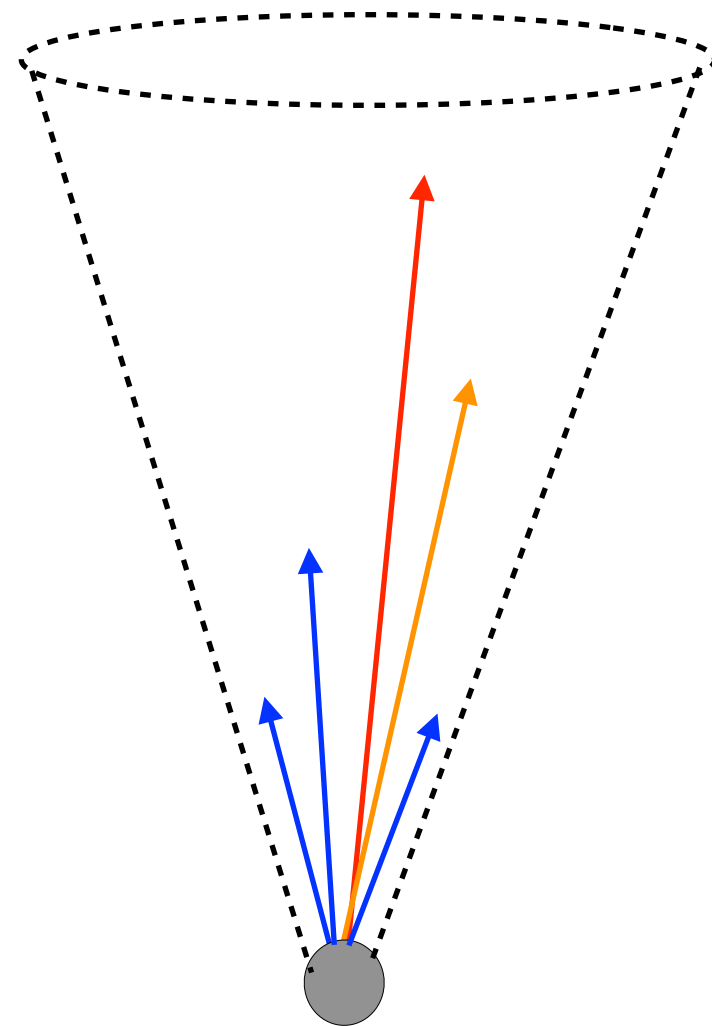
Jet quenching understood to arise from elastic and inelastic interactions of partons with QGP, with coherence effects playing an important role



Modification of Jet Structure

Jet in vacuum

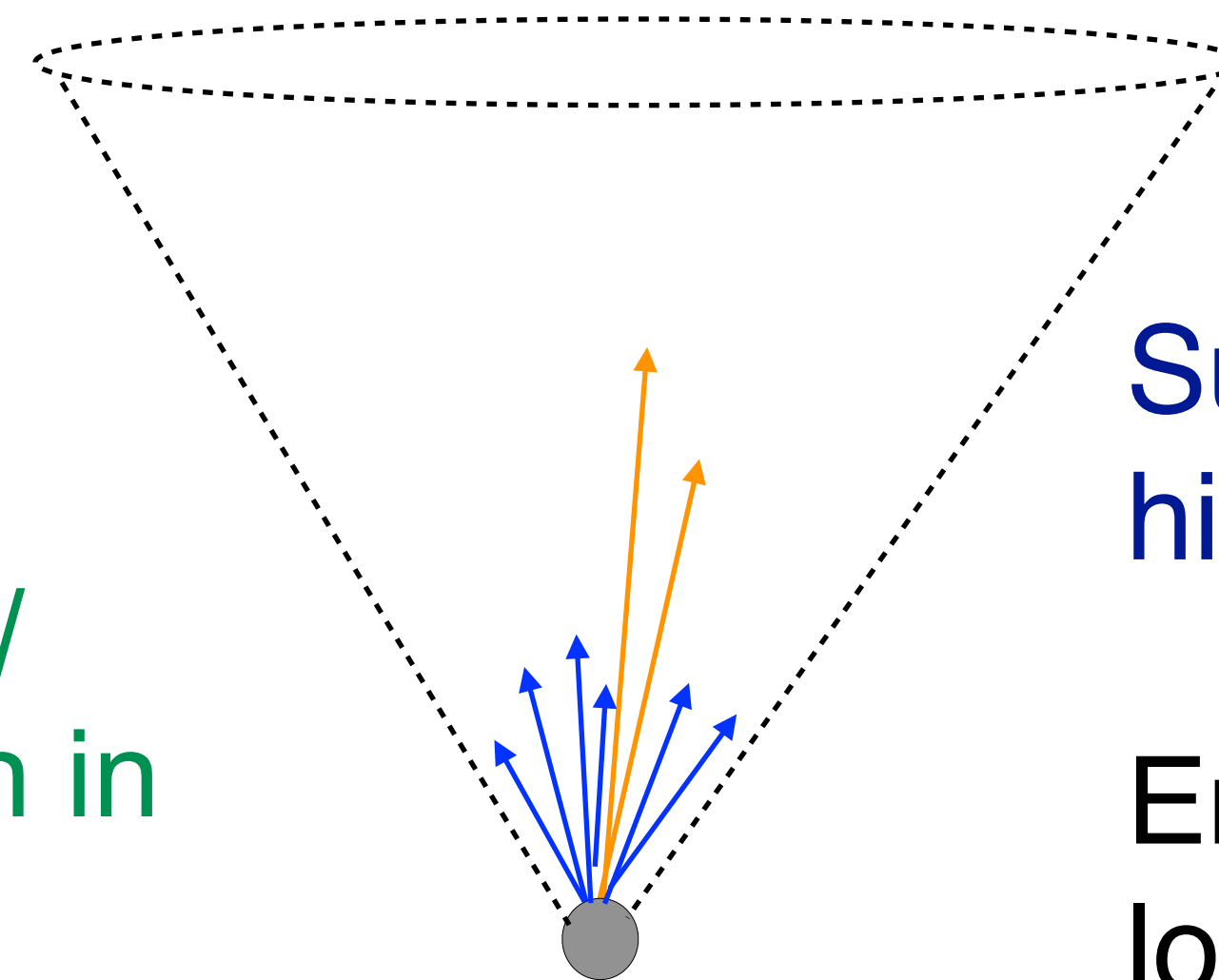
$$E_{\text{Vacuum}}^{\text{Jet}}$$



Jet in medium

$$E_{\text{Medium}}^{\text{Jet}} = E_{\text{Vacuum}}^{\text{Jet}}$$

Jet broadening

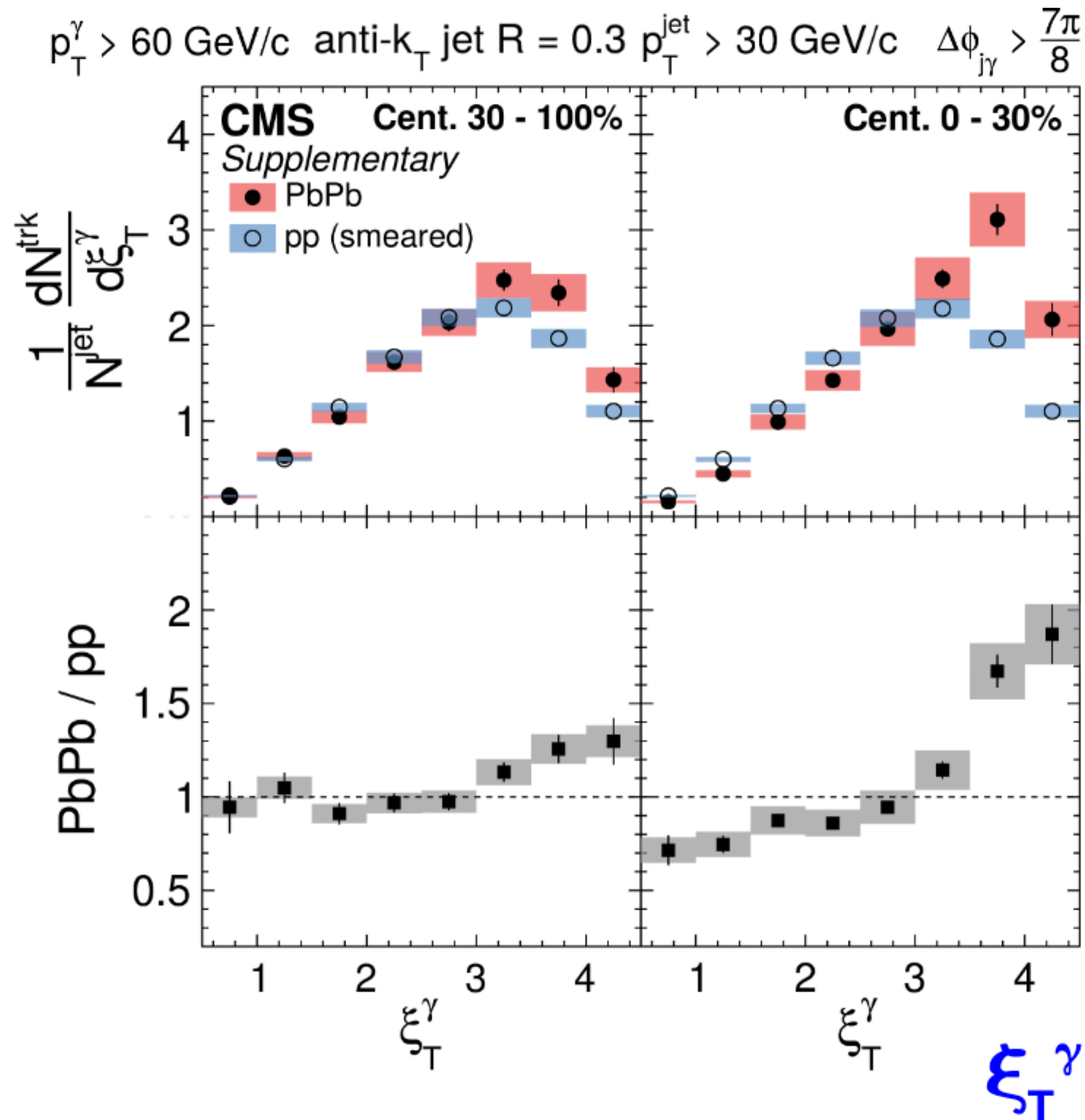


Jet quenching/
gluon radiation in
QGP

Suppression of
high- p_T particles

Enhancement of
low- p_T particles

Where does the energy go?



Reconstruct jet recoiling from high p_T photon

- since photons don't interact "know" initial parton energy

Examine fragmentation hadrons

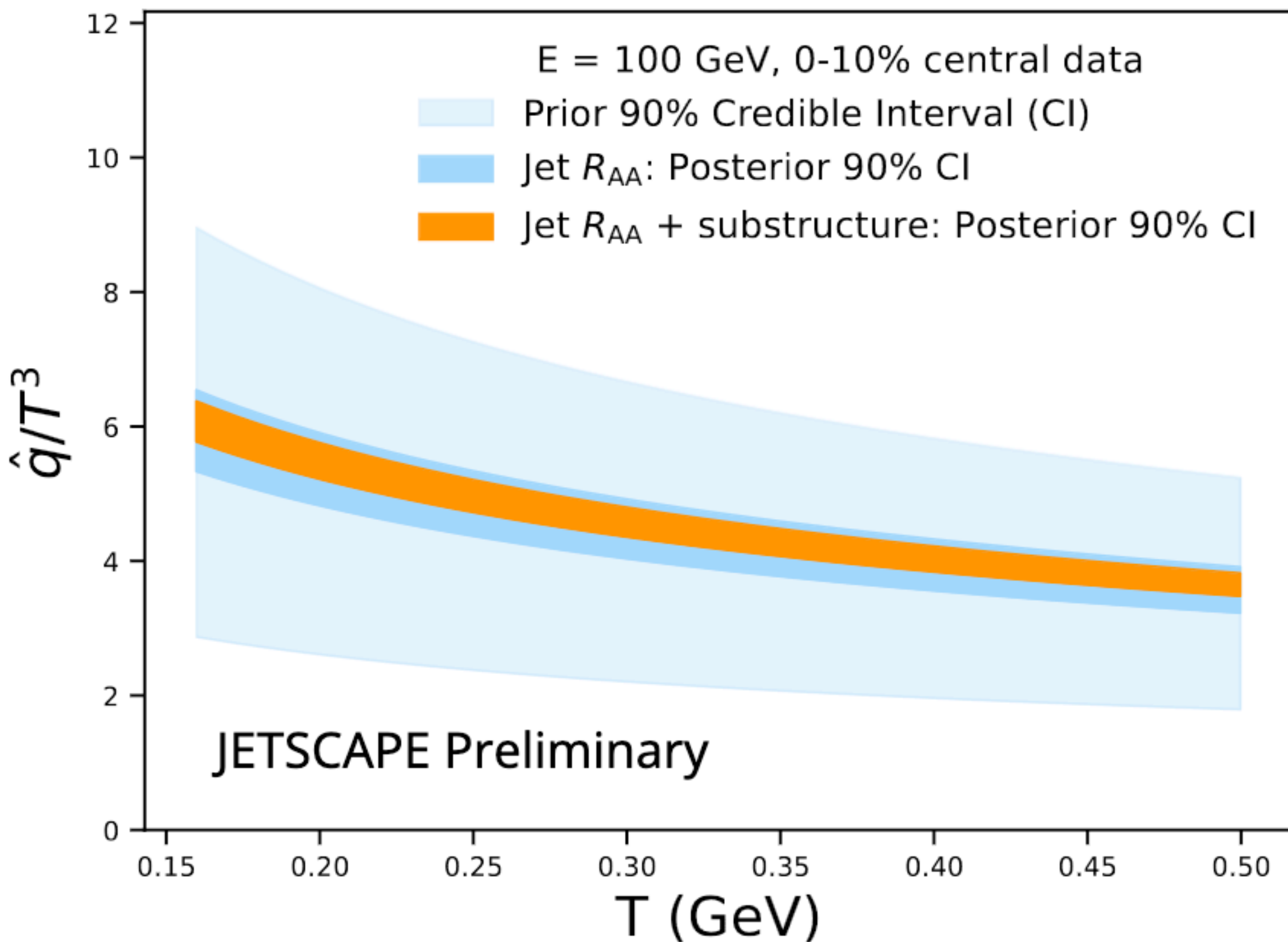
$$\xi_T^\gamma = \ln \left[-|\vec{p}_T^\gamma|^2 / (\vec{p}_T^{\text{trk}} \cdot \vec{p}_T^\gamma) \right]$$

- take ratio Pb+Pb/pp

"Lost" hard particles emerge as multiple soft particles

- Jet substructure is highly modified
- Particles emerge at large R and low p_T

Determining QGP transport properties



Advances continue - especially via JETSCAPE (but not only) - exploit bayesian inference

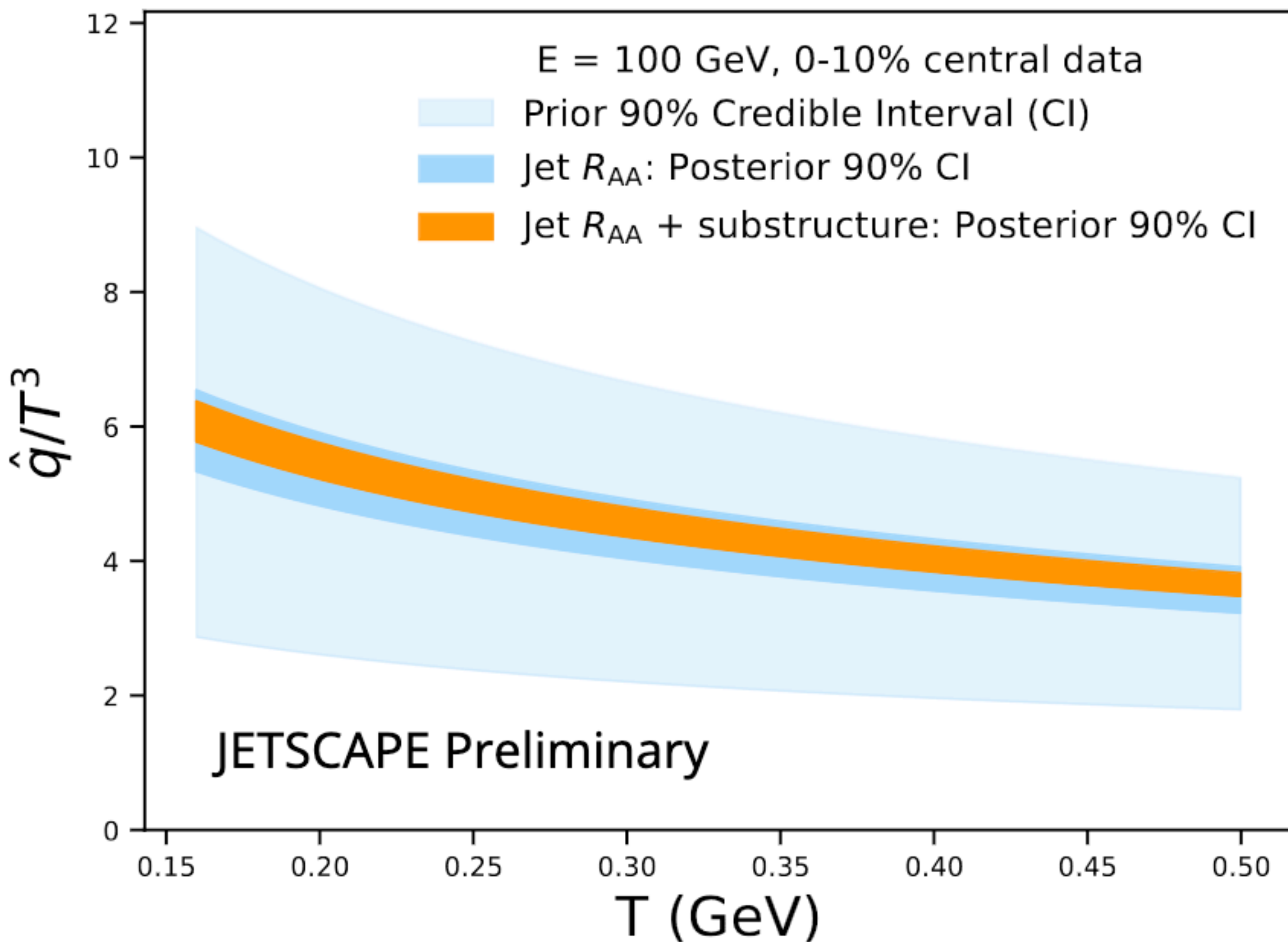
Now includes jet R_{AA} and substructure measurements

$$\hat{q} = Q^2/L \quad \begin{array}{l} Q - \text{mtm transfer to medium} \\ L - \text{path length} \end{array}$$

Most precise estimate to-date

Does the T evolution explain differences at RHIC and the LHC?

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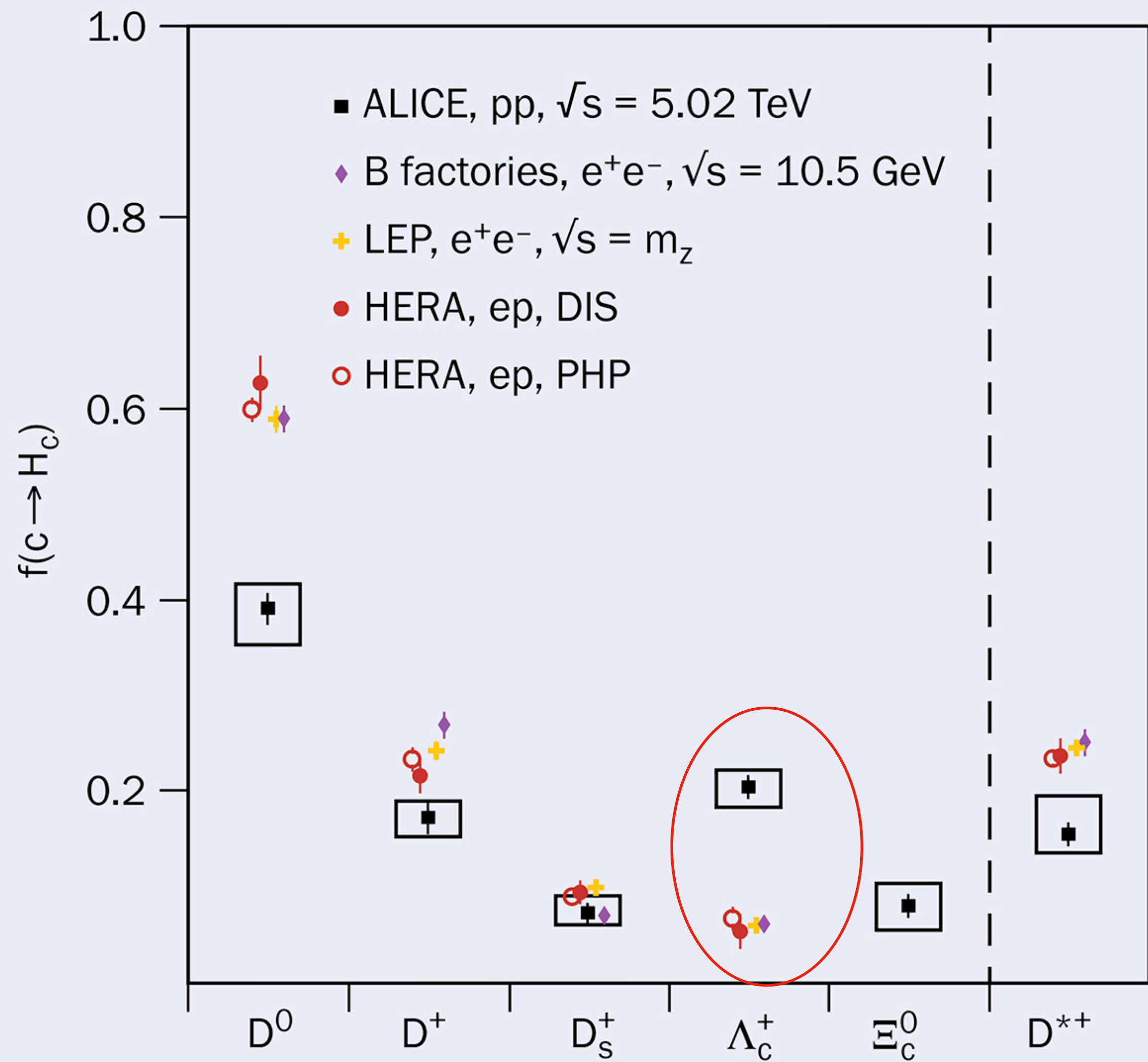
Does the T evolution explain differences at RHIC and the LHC?

Some tension when include hadron R_{AA}

Some physics missing?
Uncertainties incorrect?
Theory uncertainty critical?
All of the above?

**Unexpected physics found along
the way**

Is charm fragmentation universal?



Heavy-flavor yields computed in pQCD via convolution of

PDFs + partonic cross-section + FF

FF: typically parametrized from e^+e^- / ep measurements

Assumption that charm hadronization universal

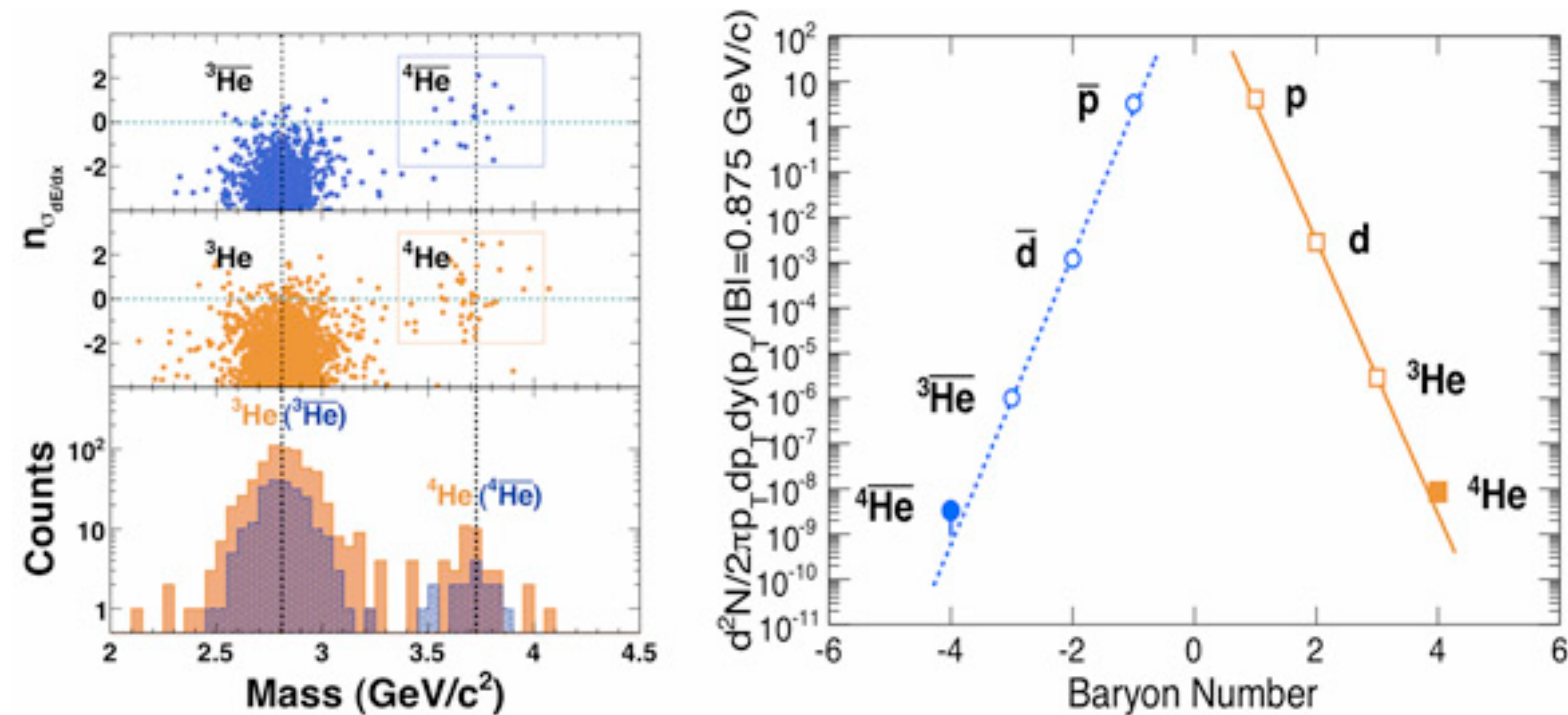
$f(c \rightarrow H_c)$ from p+p collisions different to e^+e^- and ep data

>3x more charm baryons than in e^+e^- and ep

Assumption of universal (charm) fragmentation is not valid

Note: LHC $c\bar{c}$ cross-section is consistent with pQCD predictions (although at upper limit)

First observation of anti-He⁴!

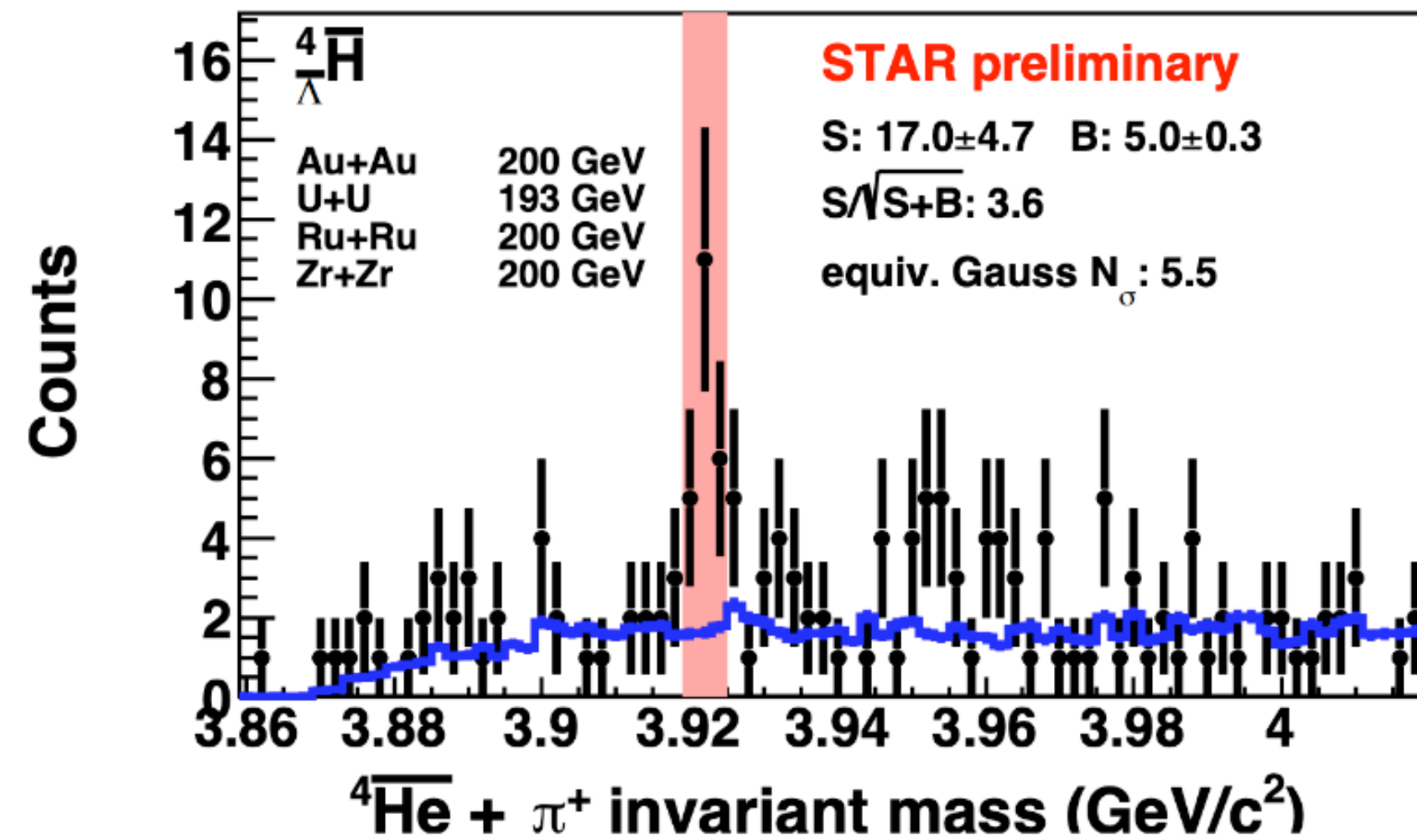


Matter and antimatter formed at same rate

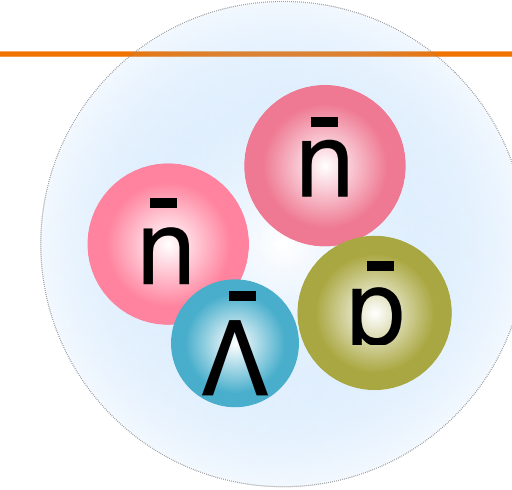
Now know rates we should see anti-matter in space experiments

Fact that we are in a matter Universe not due to “problem” creating anti-matter

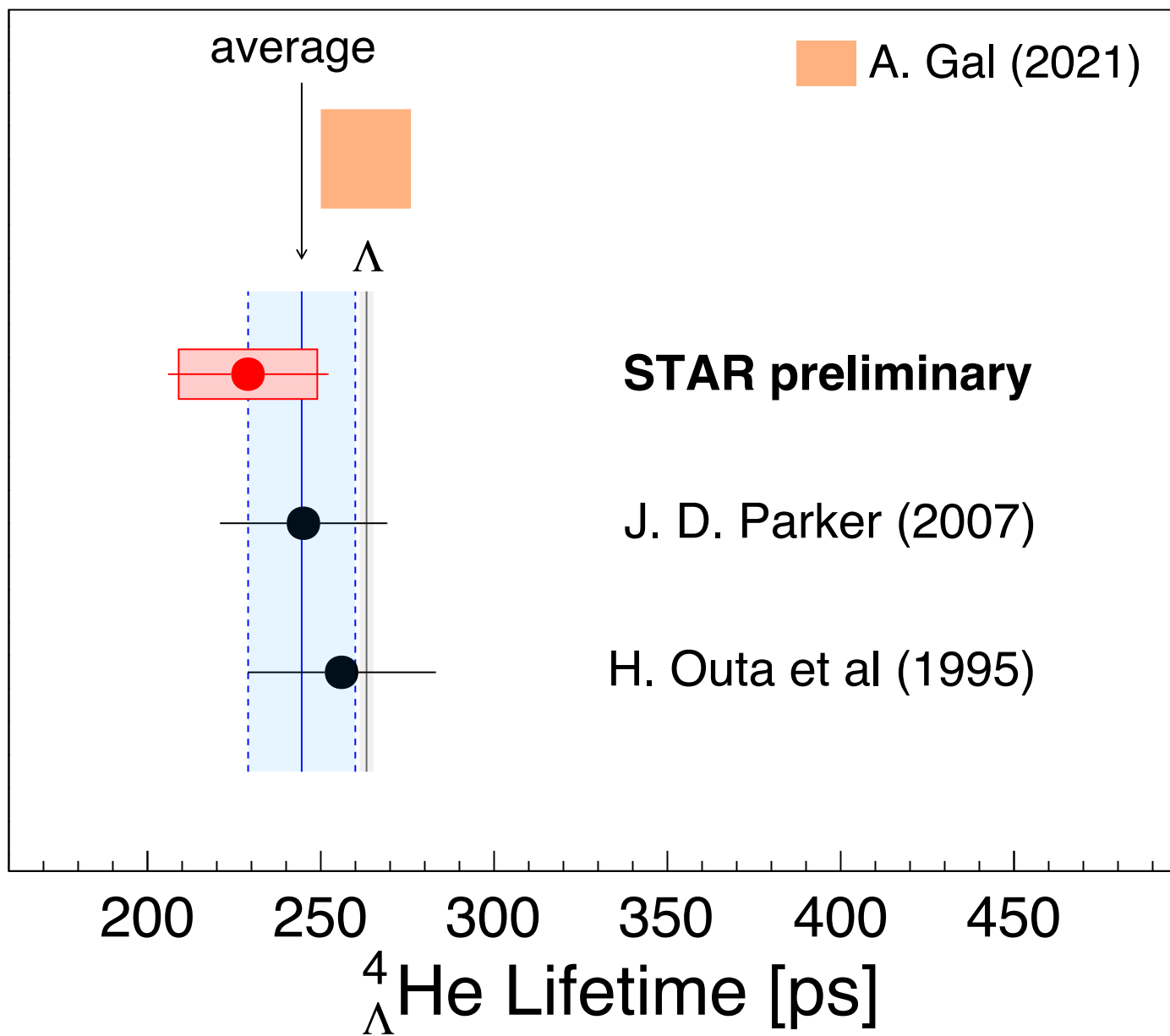
(anti)Hypernuclei are also created



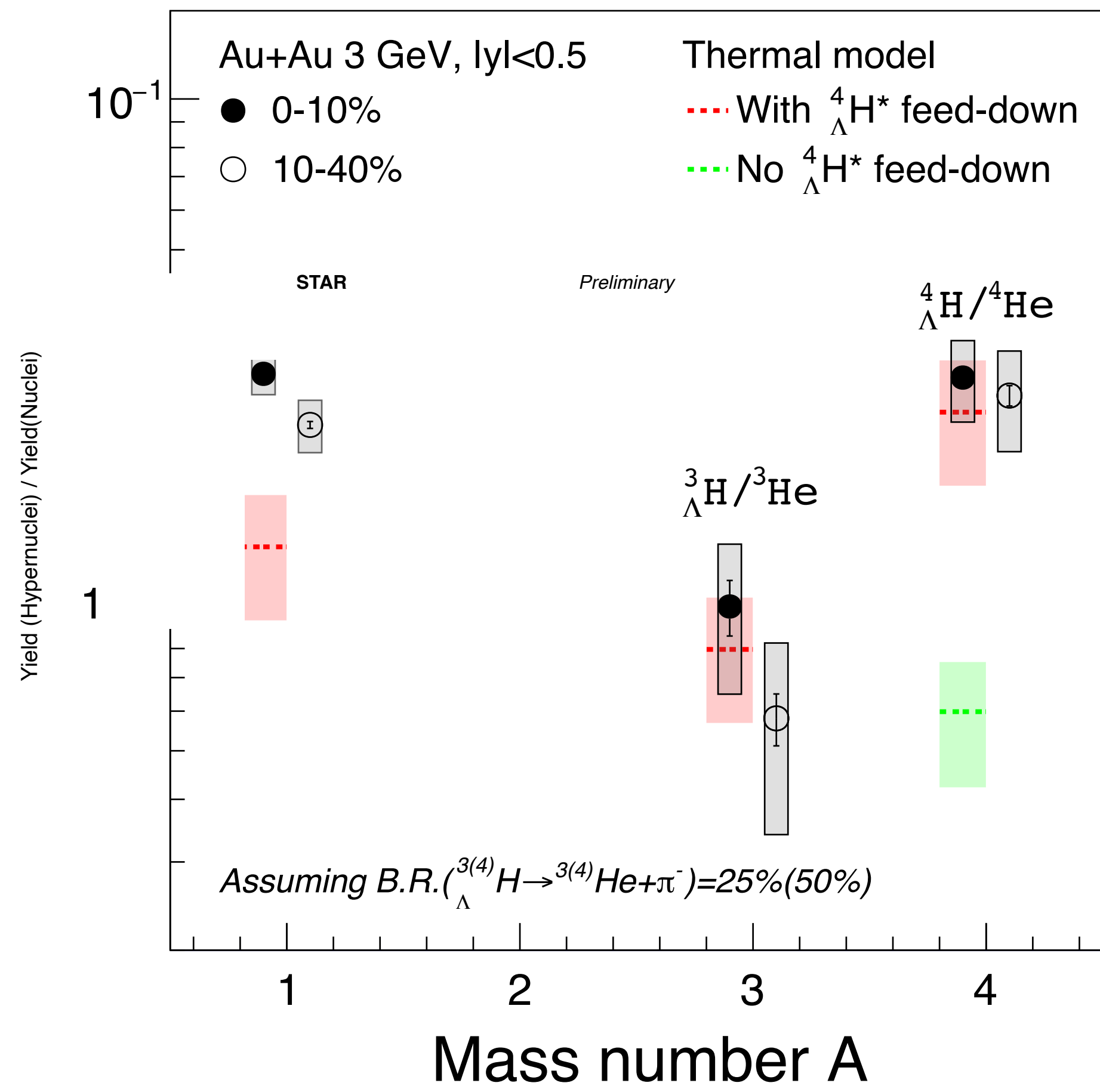
Anti-Hyper-Hydrogen-4



Evidence of formation of **excited** hypernuclei states in heavy ion collisions



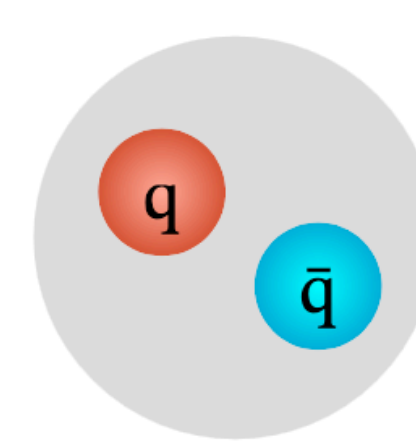
Hyper-Helium-4 lifetime measurement in heavy ion collisions



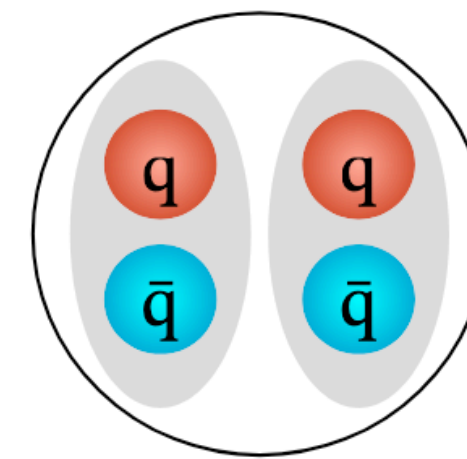
$f_0(980)$ quark content

Longstanding question “is the f_0 a diquark, molecular, or tetraquark?”

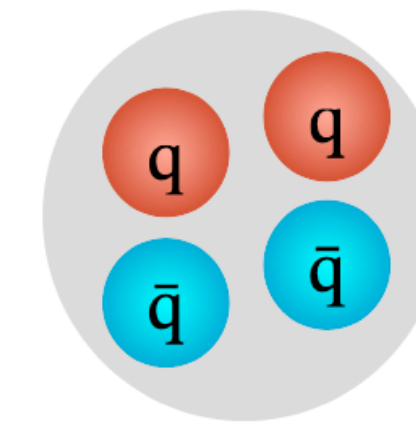
Difficult/impossible question to answer theoretically - up to experiments to answer



Diquark



meson-meson
molecule

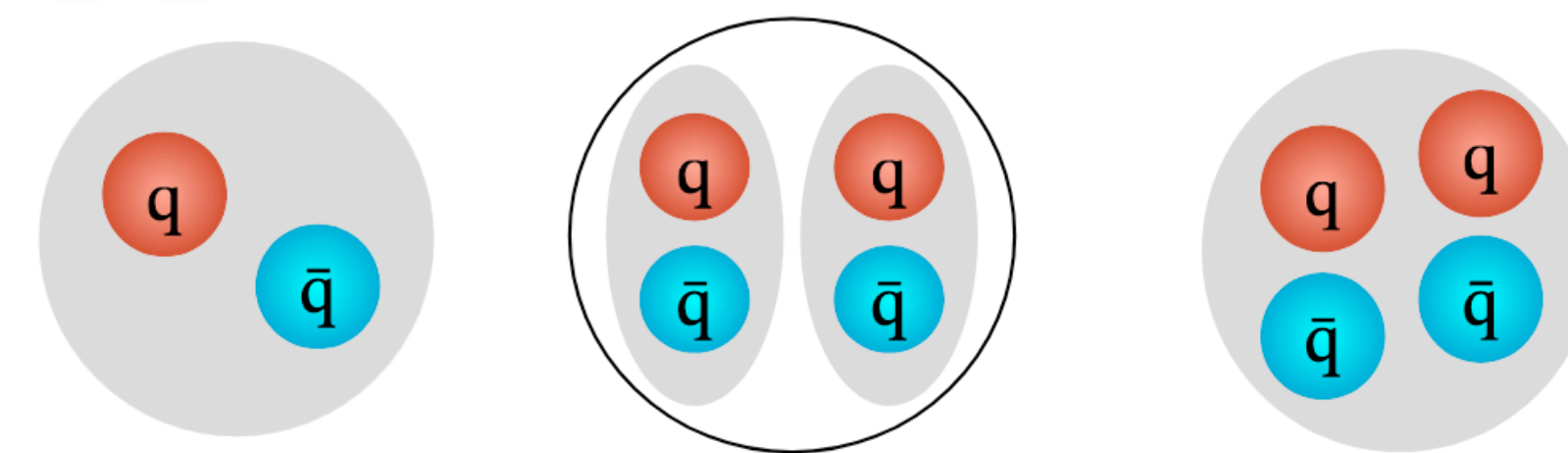


Tetraquark

$f_0(980)$ quark content

Longstanding question “is the f_0 a diquark, molecular, or tetraquark?”

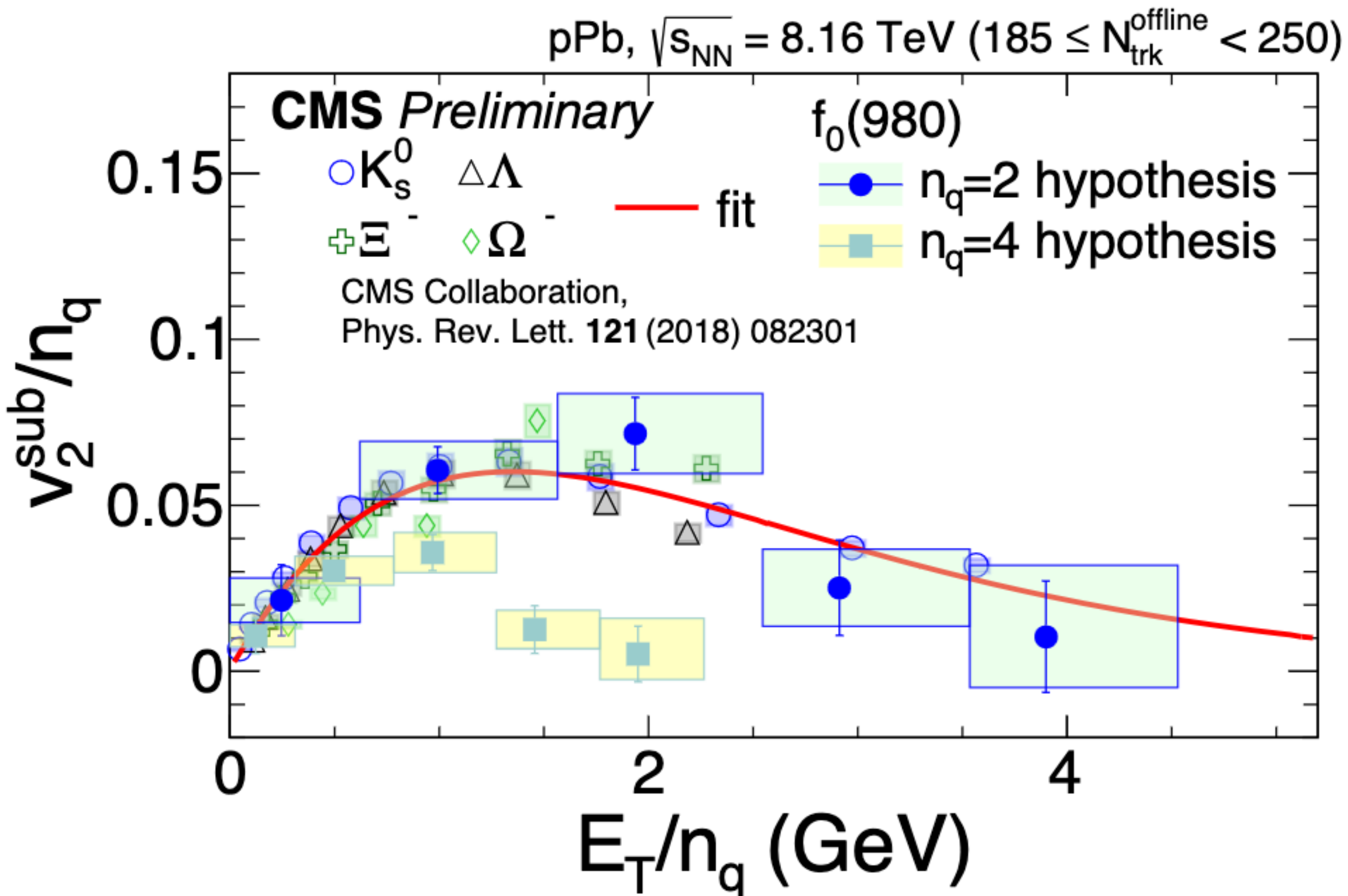
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Diquark

meson-meson molecule

Tetraquark



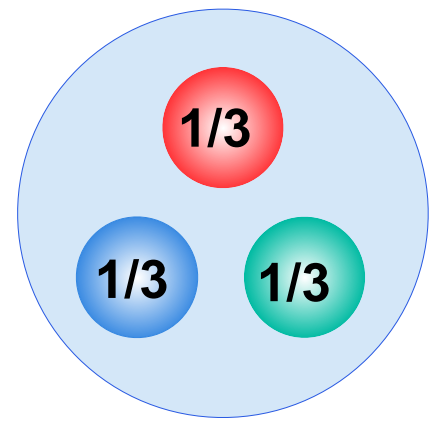
In p-Pb

Elliptic flow:
Scales when $n_q = 2$

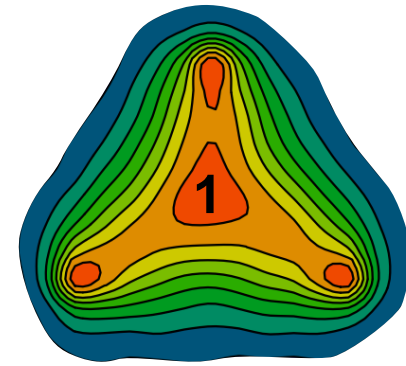
Suggests that f_0 is a diquark

Low energy results suggest otherwise
- debate continues

What carries baryon number?



Quarks as baryon carriers?



Baryon-junction as baryon carrier?

fig: Suganuma et al.
AIP Conf.Proc. 756
(2005) 1, 123

If baryon number carried by:

Valence quarks - $B/Q = A/Z$

Baryon junctions - $B/Q > A/Z$

Use Isobar data from STAR:

Ru+Ru: $A = 96, Z = 44$

Zr+Zr: $A = 96, Z = 40$

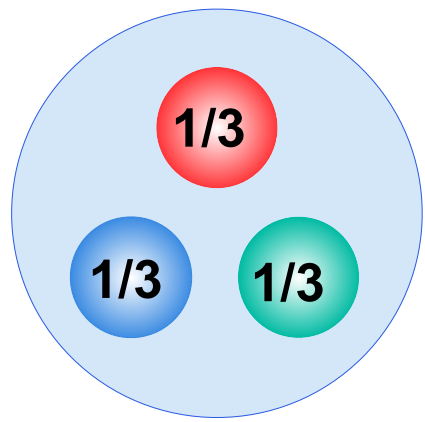
$$B = (N_p - N_{\bar{p}}) + (N_n - N_{\bar{n}})$$

$$Q = (N_{\pi^+} + N_{K^+} + N_p) - (N_{\pi^-} + N_{K^-} + N_{\bar{p}})$$

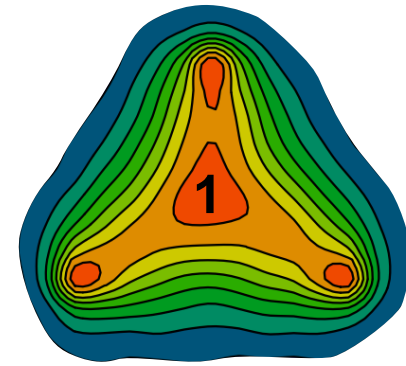
$$\Delta Q = Q_{Ru} - Q_{Zr} \quad \text{Measure } B/\Delta Q$$

$$\Delta Z = Z_{Ru} - Z_{Zr} \quad \text{Calculate } \Delta Z/A$$

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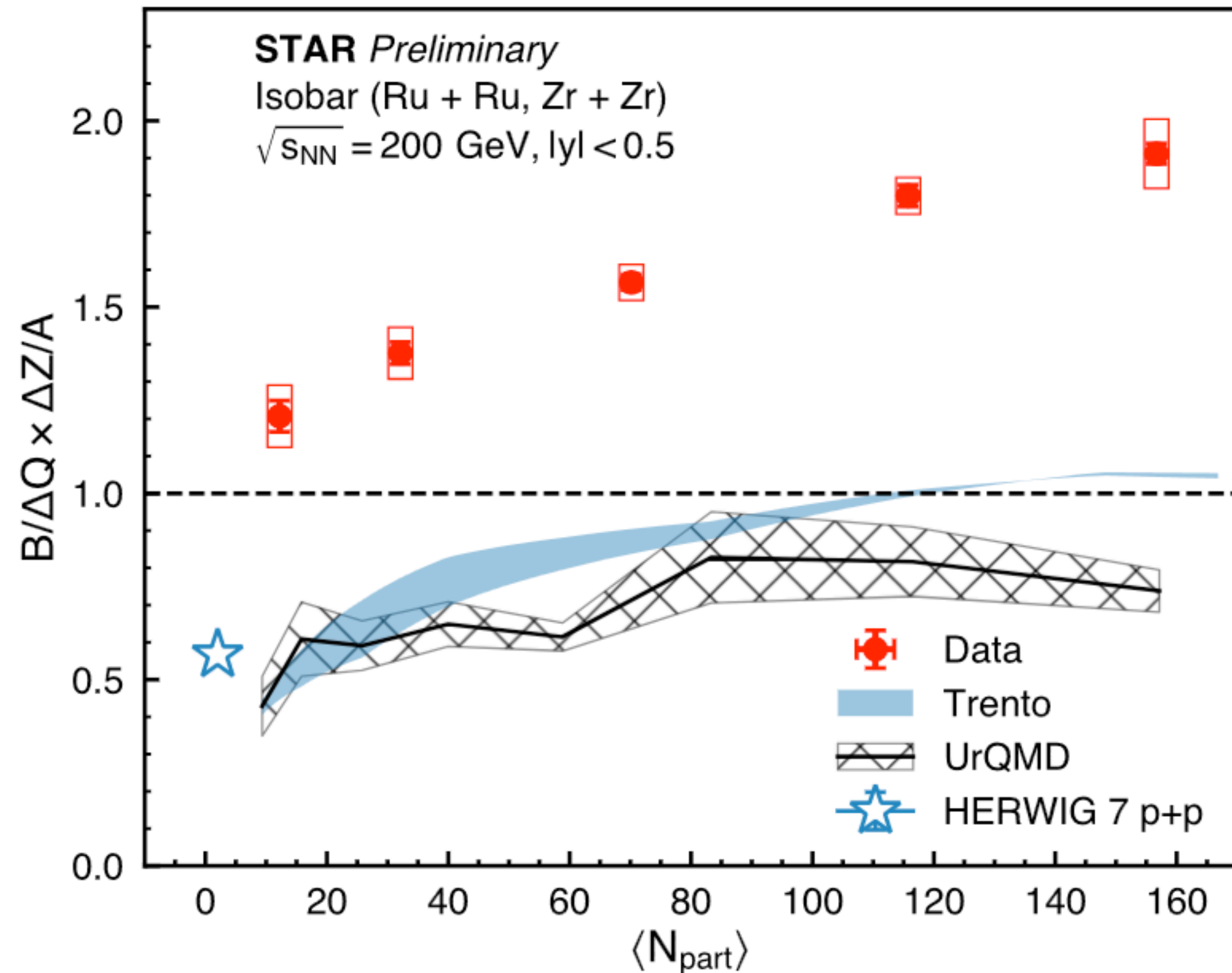
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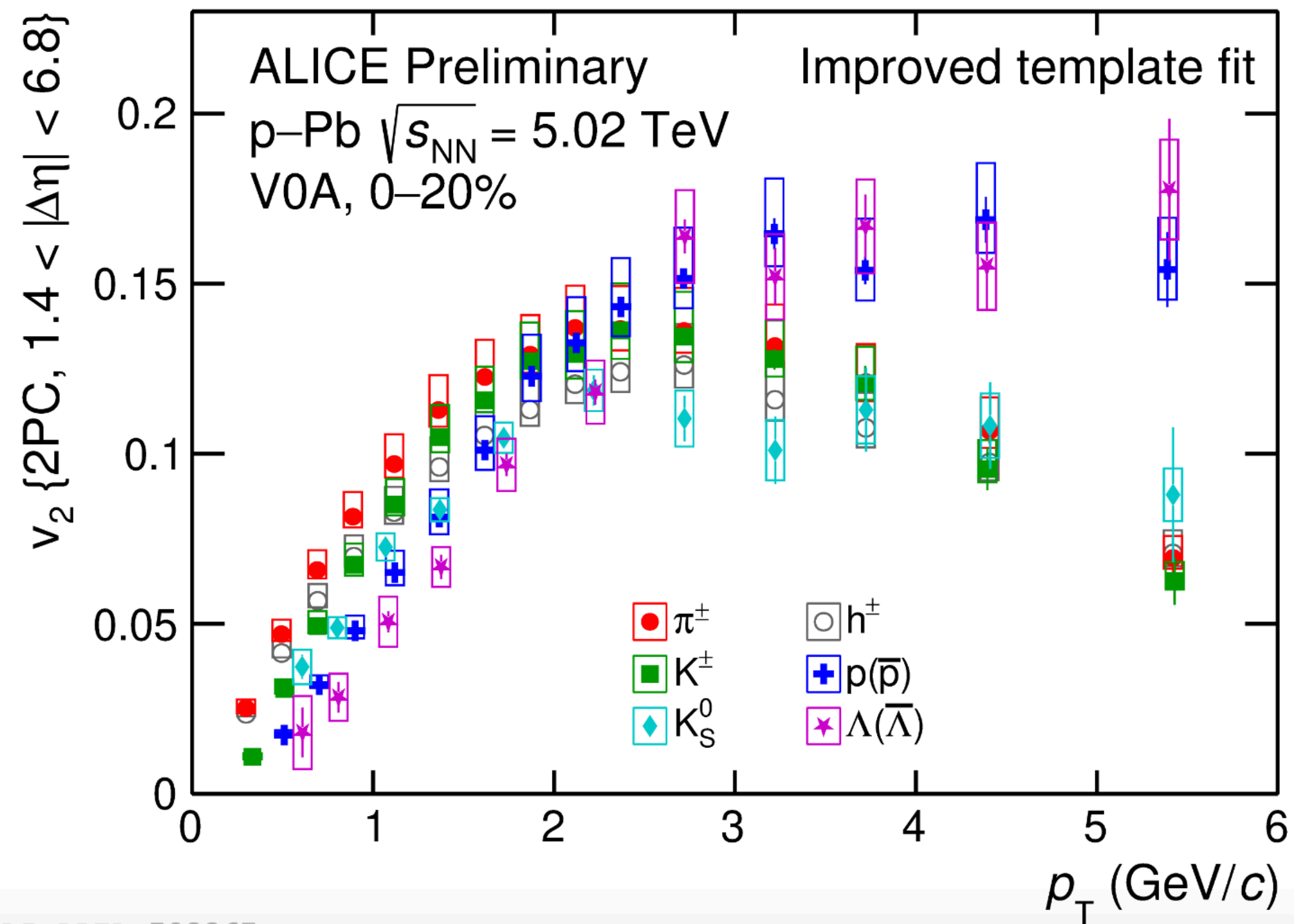
$$\Delta Q = Q_{\text{Ru}} - Q_{\text{Zr}} \quad \text{Measure } B/\Delta Q$$

$$\Delta Z = Z_{\text{Ru}} - Z_{\text{Zr}} \quad \text{Calculate } \Delta Z/A$$



Data currently favor baryon junctions

Small system complexity



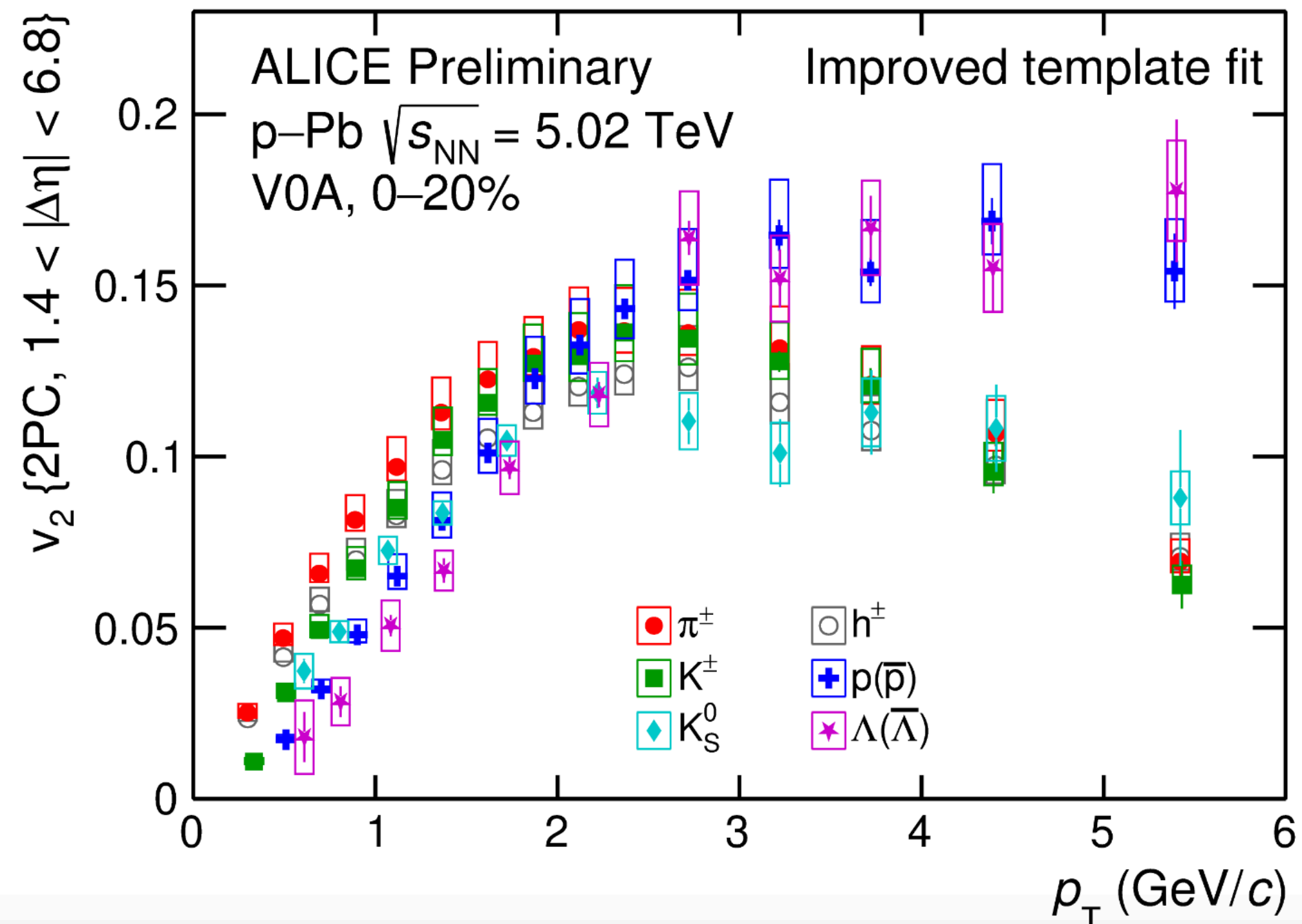
ALI-PREL-503267

Initially thought p+A - “cold” matter baseline
But:

Clear collective motion signals now observed
at LHC and RHIC

Intermediate p_T - NCQ scaling

Small system complexity



ALI-PREL-503267

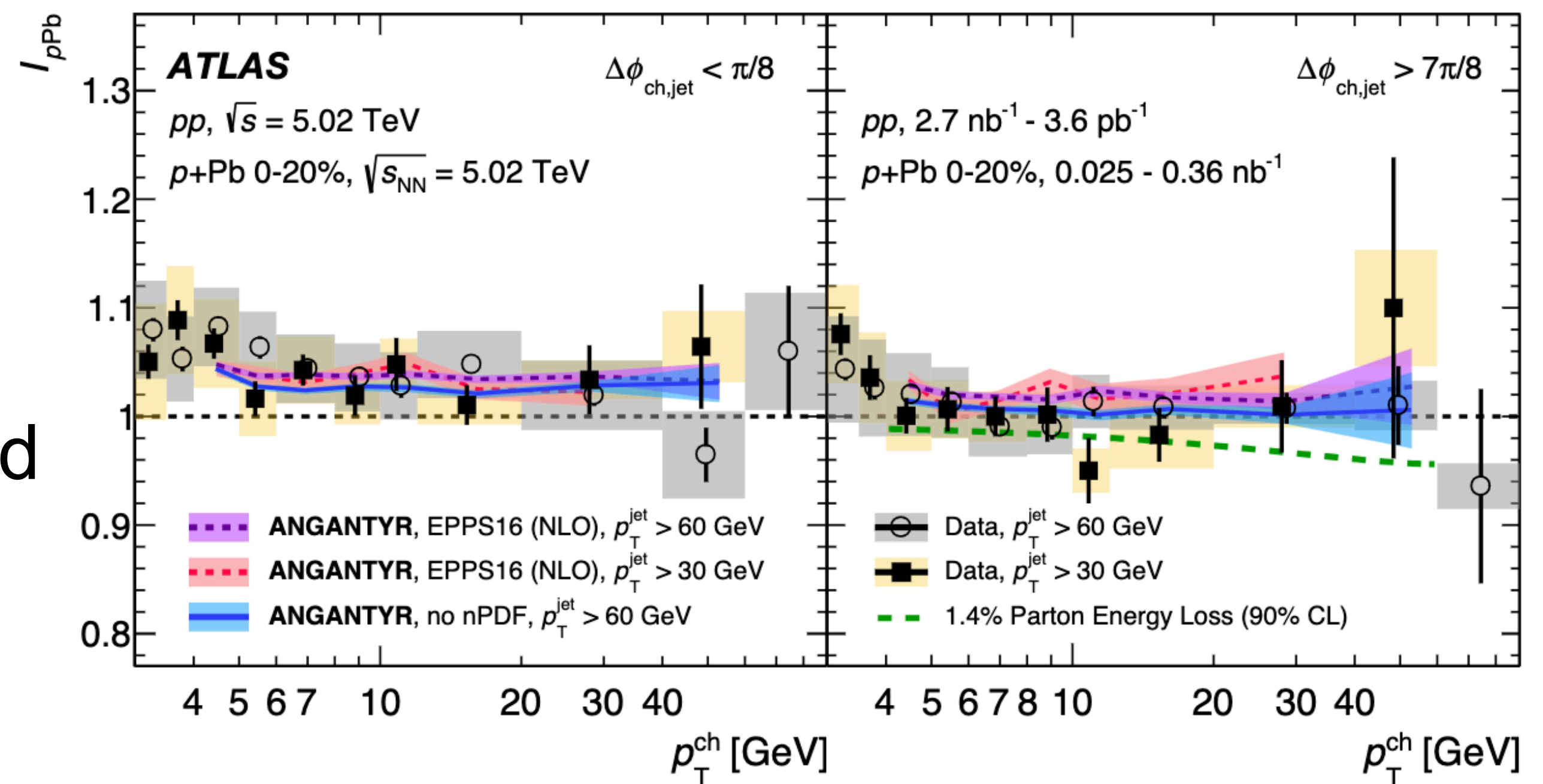
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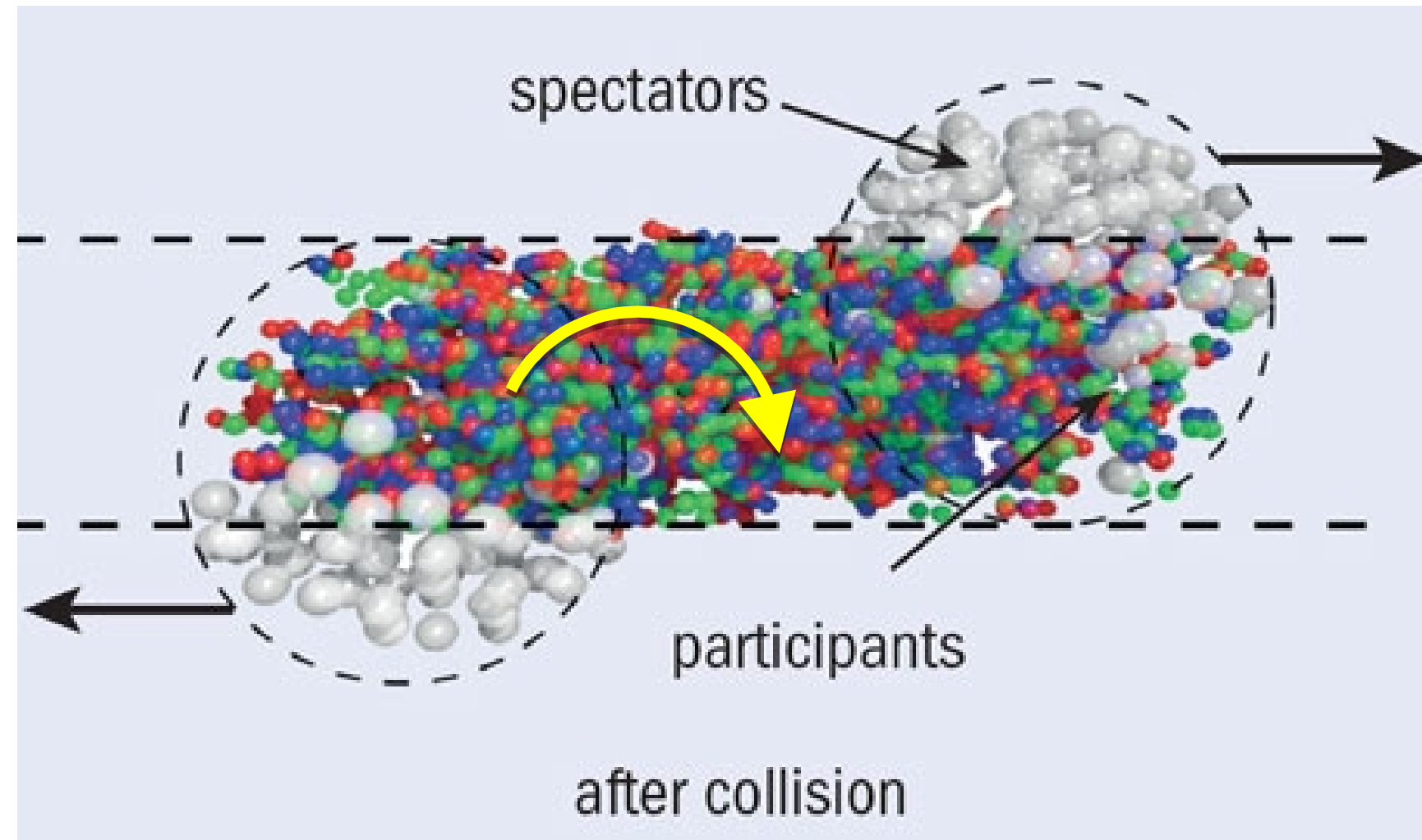
Intermediate p_T - NCQ scaling

No clear signs of jet quenching reported

Do we make a very small QGP in
 more central p+A events?



The spinning QGP



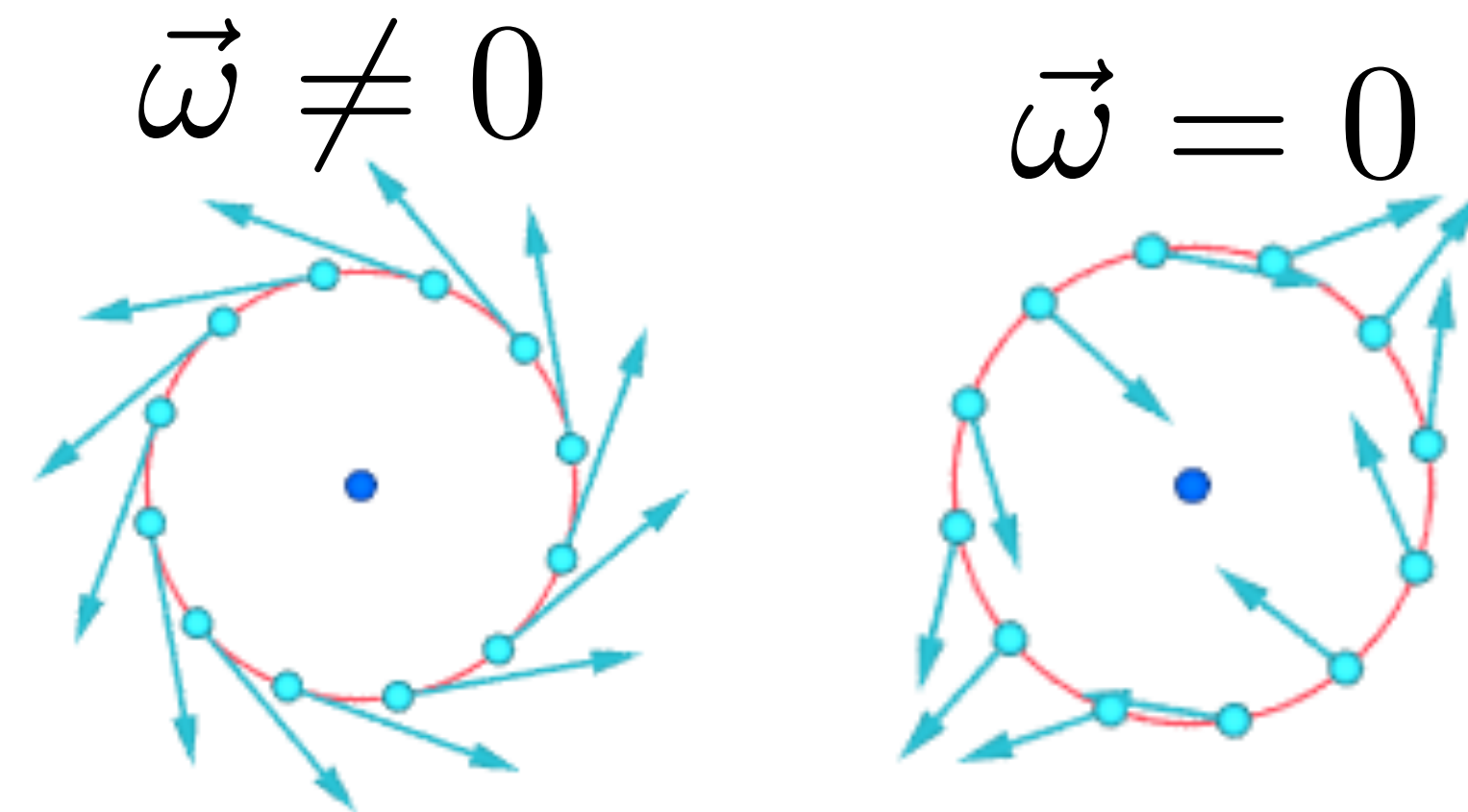
$|L| \sim 10^5$ in peripheral collisions

We generate a “spinning” QGP?

Spectators create a large magnetic field

How does that affect fluid/transport?
Vorticity - local spinning motion

$$\vec{\omega} = \vec{\nabla} \times \vec{v}$$



Viscosity dissipates vorticity to fluid at larger scales

Can we see any manifestation of this in the data?

Measuring Λ Global Polarization

Global polarization (alignment of spin with collision system angular momentum)

Direction of L :

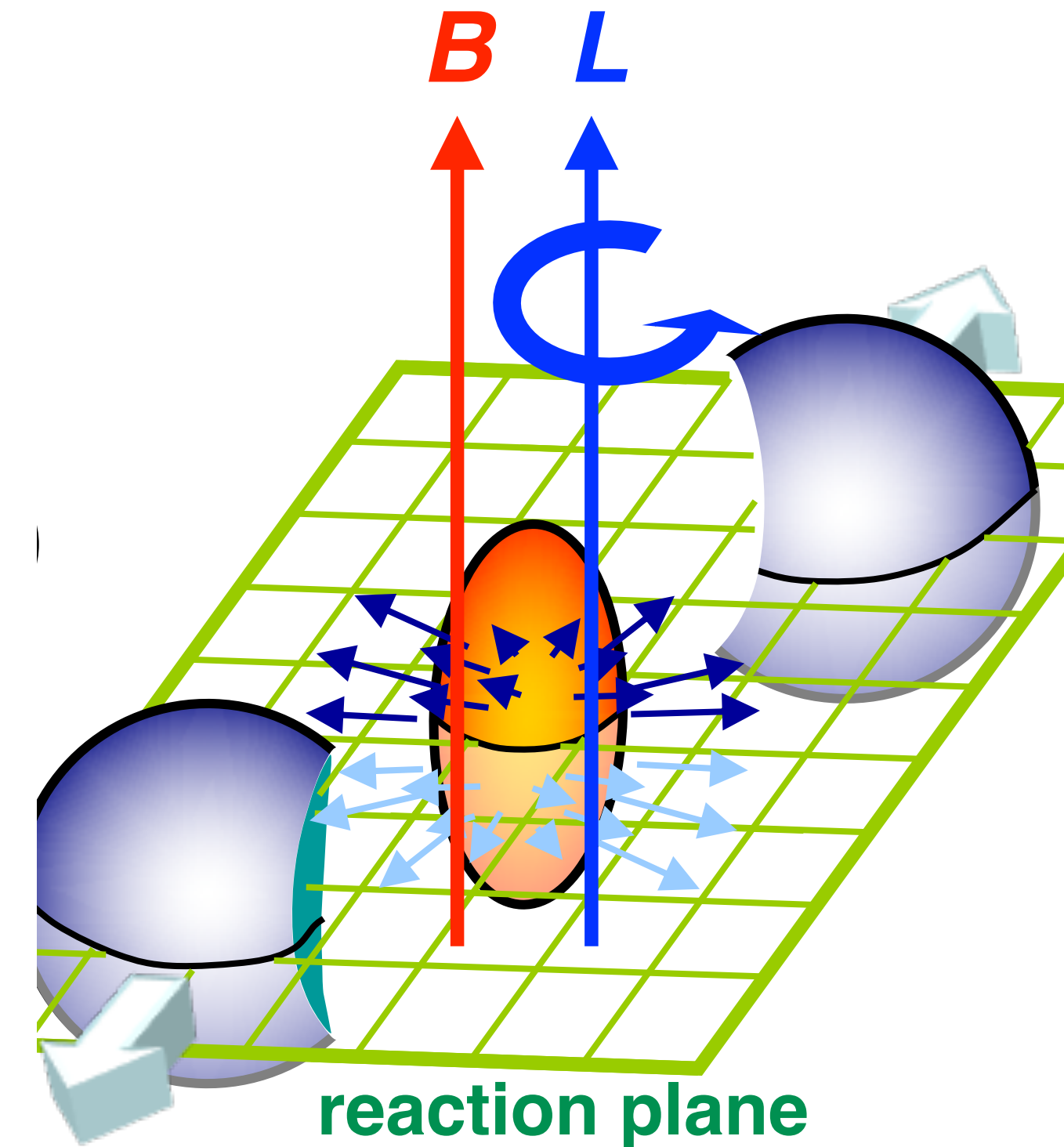
Estimate from 1st order reaction plane

Λ Polarization

Self analyzing

Decay p preferentially emitted in Λ spin direction

Decay anti-proton preferentially emitted against anti- Λ spin direction



Λ and anti- Λ spins aligned with $L \rightarrow$ Vortical or QCD spin-orbit

$$P_{vortical} = \frac{1}{2}(P_{\Lambda} + P_{\bar{\Lambda}})$$

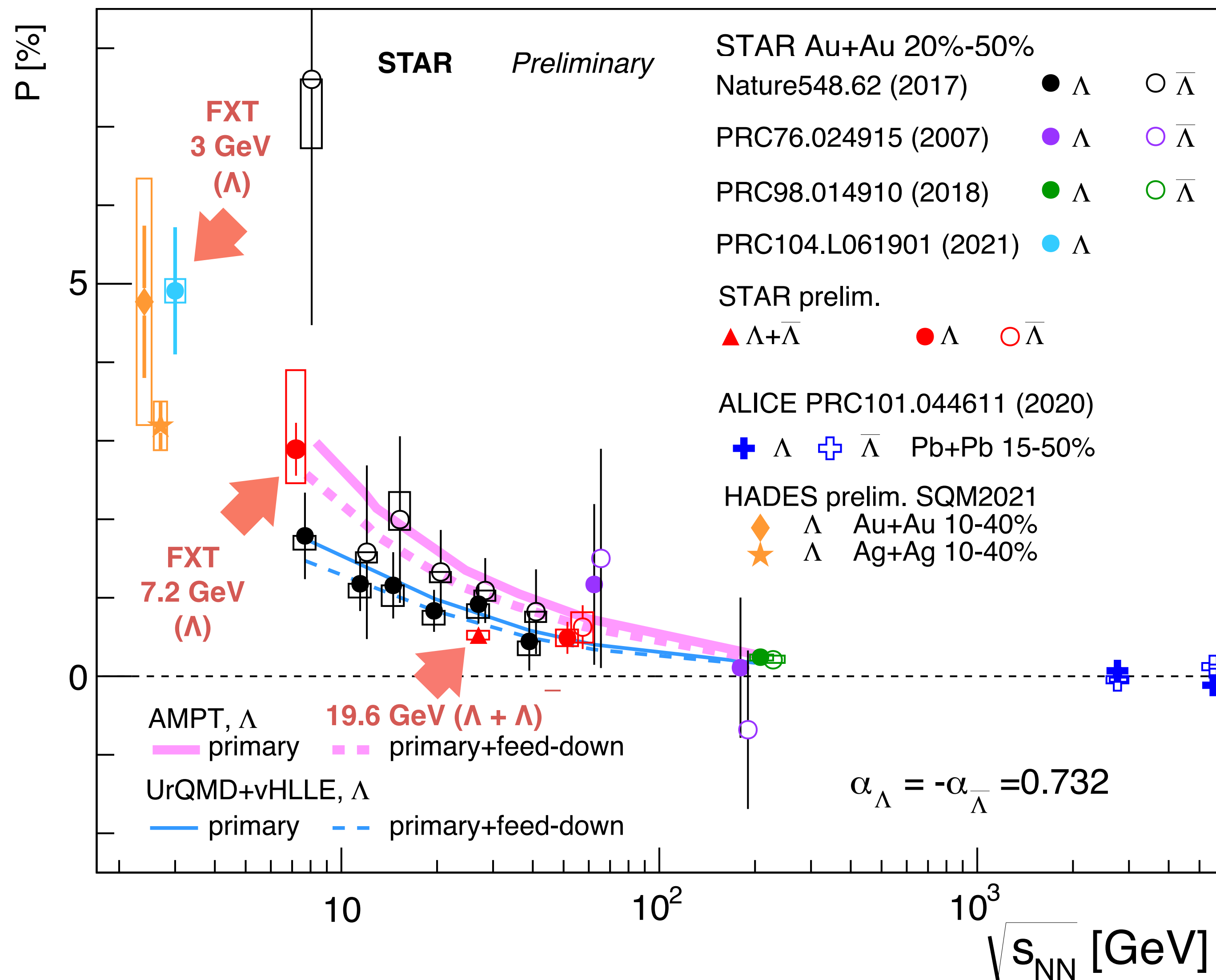
- Sigma feed-down tends to dampen the effect

Λ anti-aligned, anti- Λ aligned with $L \rightarrow \mu_H - B$ coupling

$$P_{EM} = \frac{1}{2}(P_{\Lambda} - P_{\bar{\Lambda}})$$

- Sigma feed-down goes with the primaries

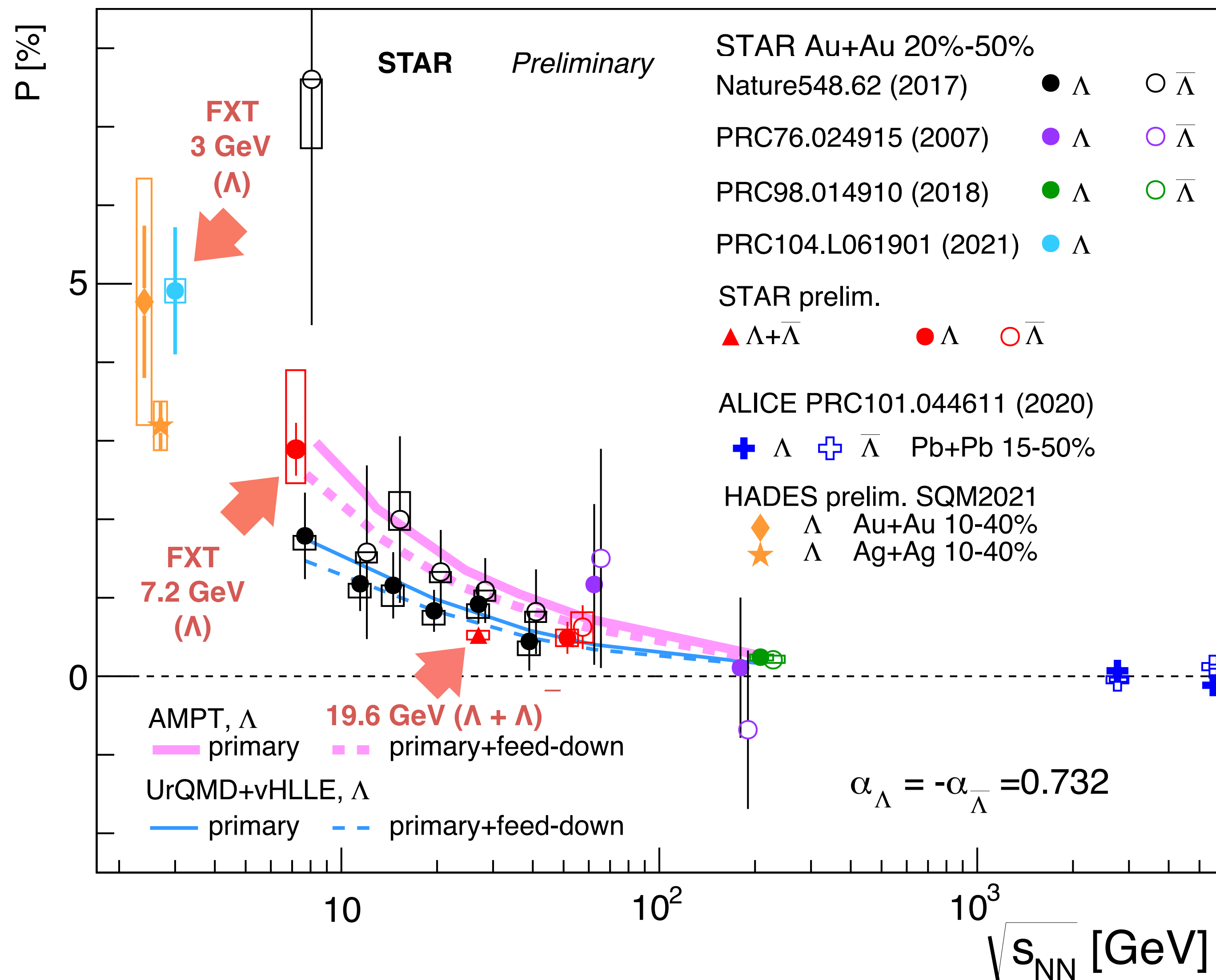
Global Λ polarization



Precision measurements have now been made from 3-5000 GeV:

Highly vortical fluid:
 $\omega \sim 10^{22} \text{ s}^{-1}$

Global Λ polarization



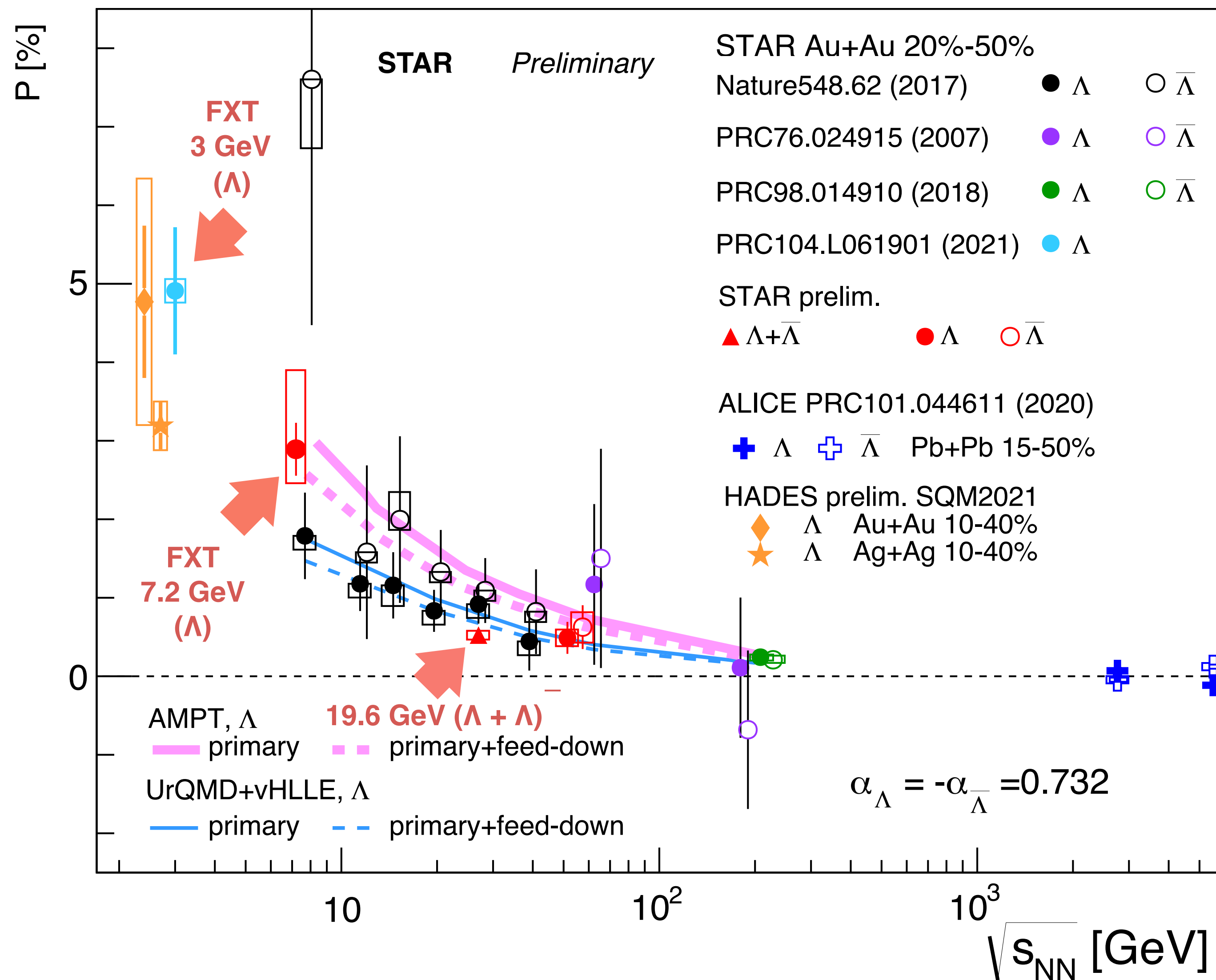
Precision measurements have now been made from 3-5000 GeV:

Highly vortical fluid:
 $\omega \sim 10^{22} \text{ s}^{-1}$

How fast is that compared to the most powerful tornado?

- a) slower
- b) about the same
- c) 1000 times faster
- d) billion times fast
- e) even faster

Global Λ polarization



Precision measurements have now been made from 3-5000 GeV:

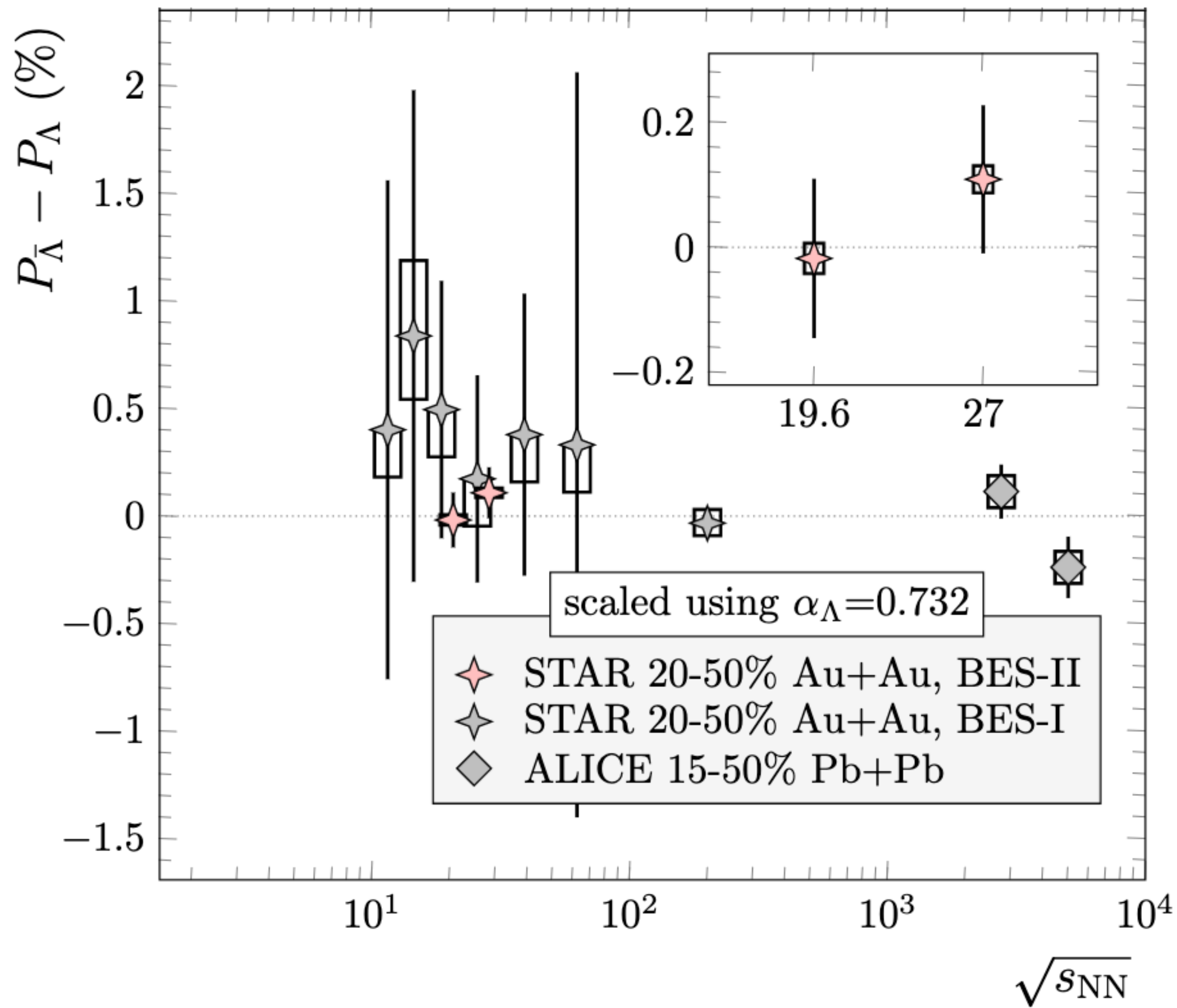
Highly vortical fluid:
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How fast is that compared to the most powerful tornado?

- a) slower
- b) about the same
- c) 1000 times faster
- d) billion times fast
- e) even faster

ten billion trillion times faster

Splitting of hyperon polarization



Late stage magnetic field should cause splitting in (anti) Λ polarization

No splitting observed over wide range of beam energies

At 95% confidence level late stage magnetic field

(Initial field 10^{14} - 10^{16} T)

$B(19.6 \text{ GeV}) < 9.4 \times 10^{12} \text{ T}$

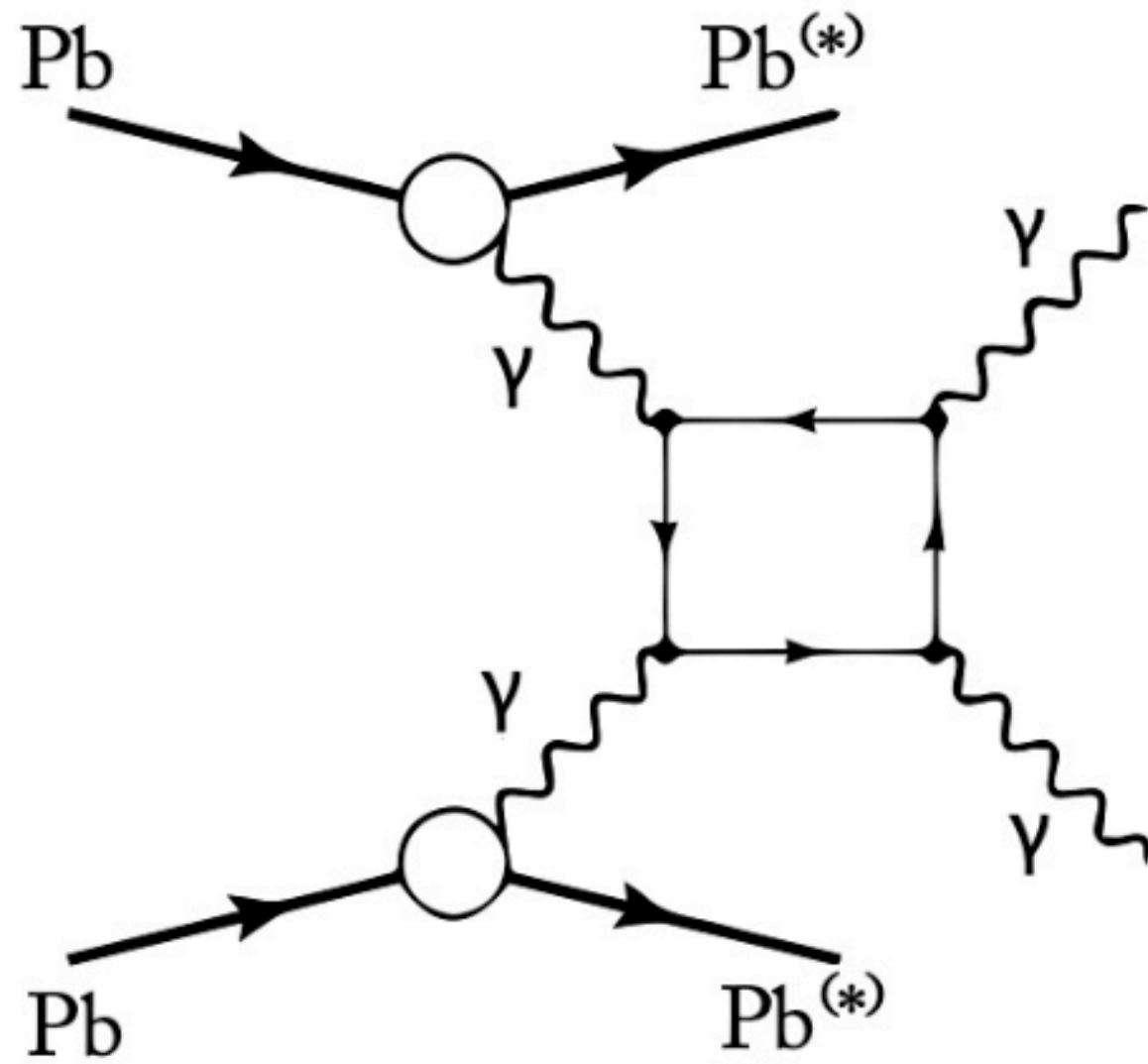
$B(27 \text{ GeV}) < 1.4 \times 10^{13} \text{ T}$

Does magnetic field die away too quickly?
Can we probe at earlier time?

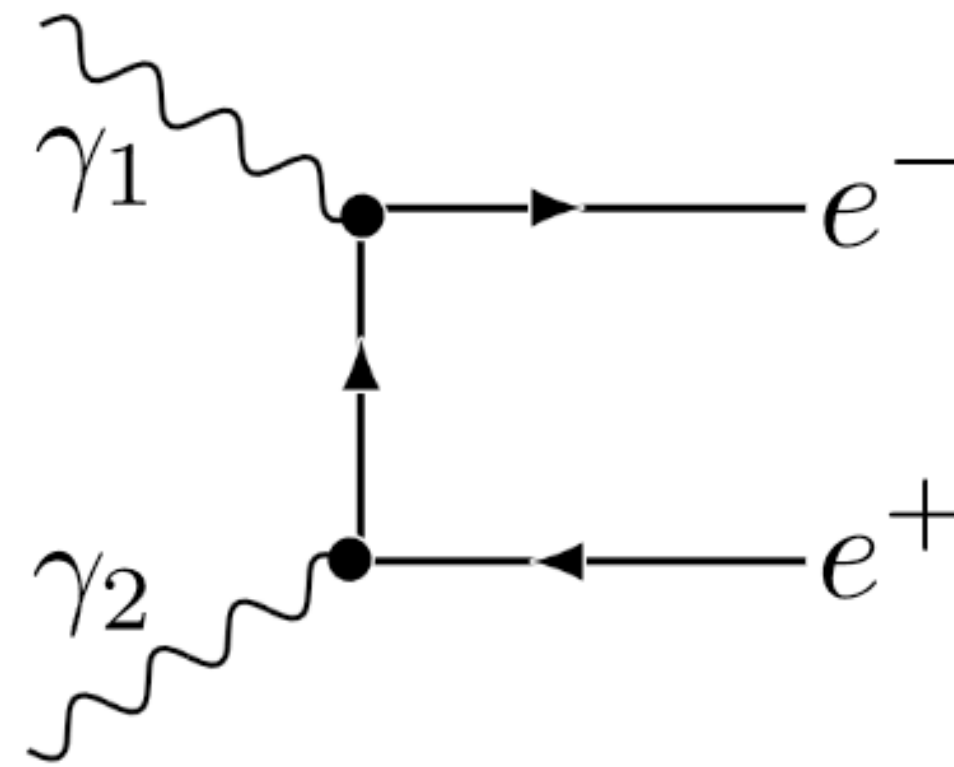
**Can we detect new physics via
UPC?**

UPC: Explosion in studies over past 10 Years

2017: Light-by-Light



2021: Breit-Wheeler



2023: Entanglement Enabled Interference

Science Advances

AAAS

Article Metrics

What is this page? Embed badge Share

Tomography of ultrarelativistic nuclei with polarized photon-gluon collisions

Overview of attention for article published in Science Advances, January 2023

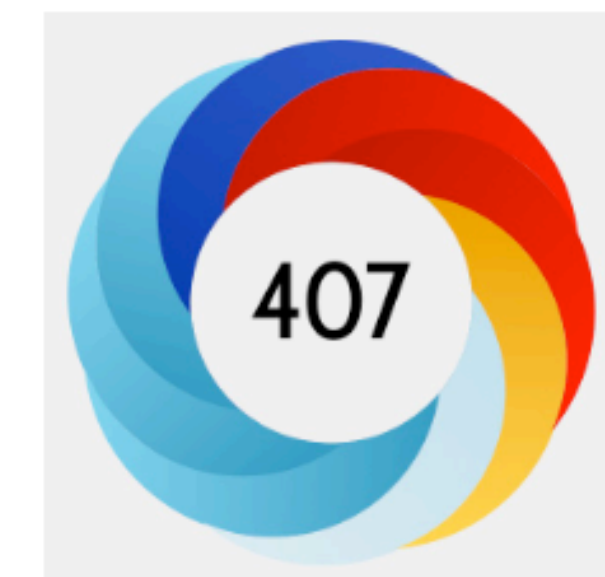
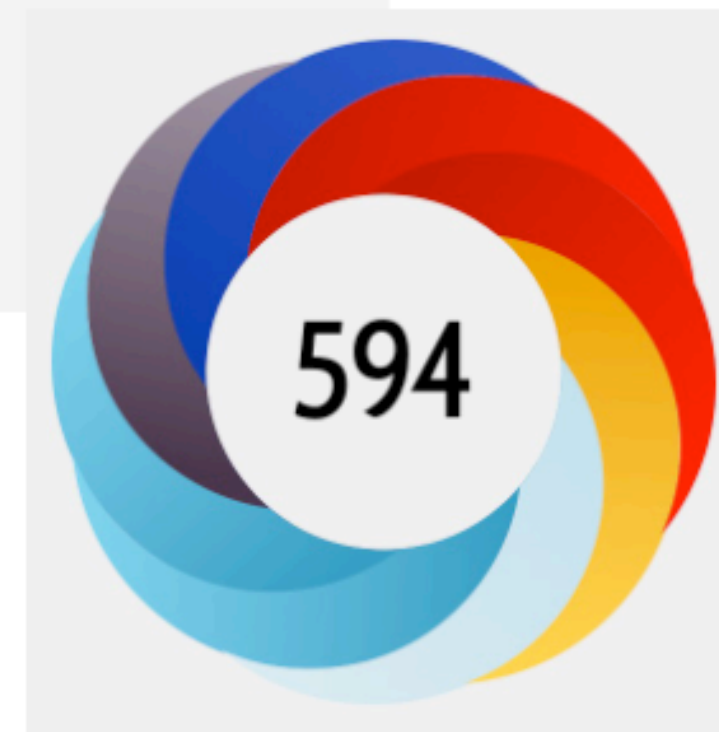
Scientists See Quantum Interference between Different Kinds of Particles for First Time

A newly discovered interaction related to quantum entanglement between dissimilar particles opens a new window into the nuclei of atoms

OUTPUTS FROM PHYSICAL REVIEW LETTERS

#42

of 37,322 outputs



[Open Access](#) | [Published: 14 August 2017](#)

Evidence for light-by-light scattering in heavy-ion collisions with the ATLAS detector at the LHC

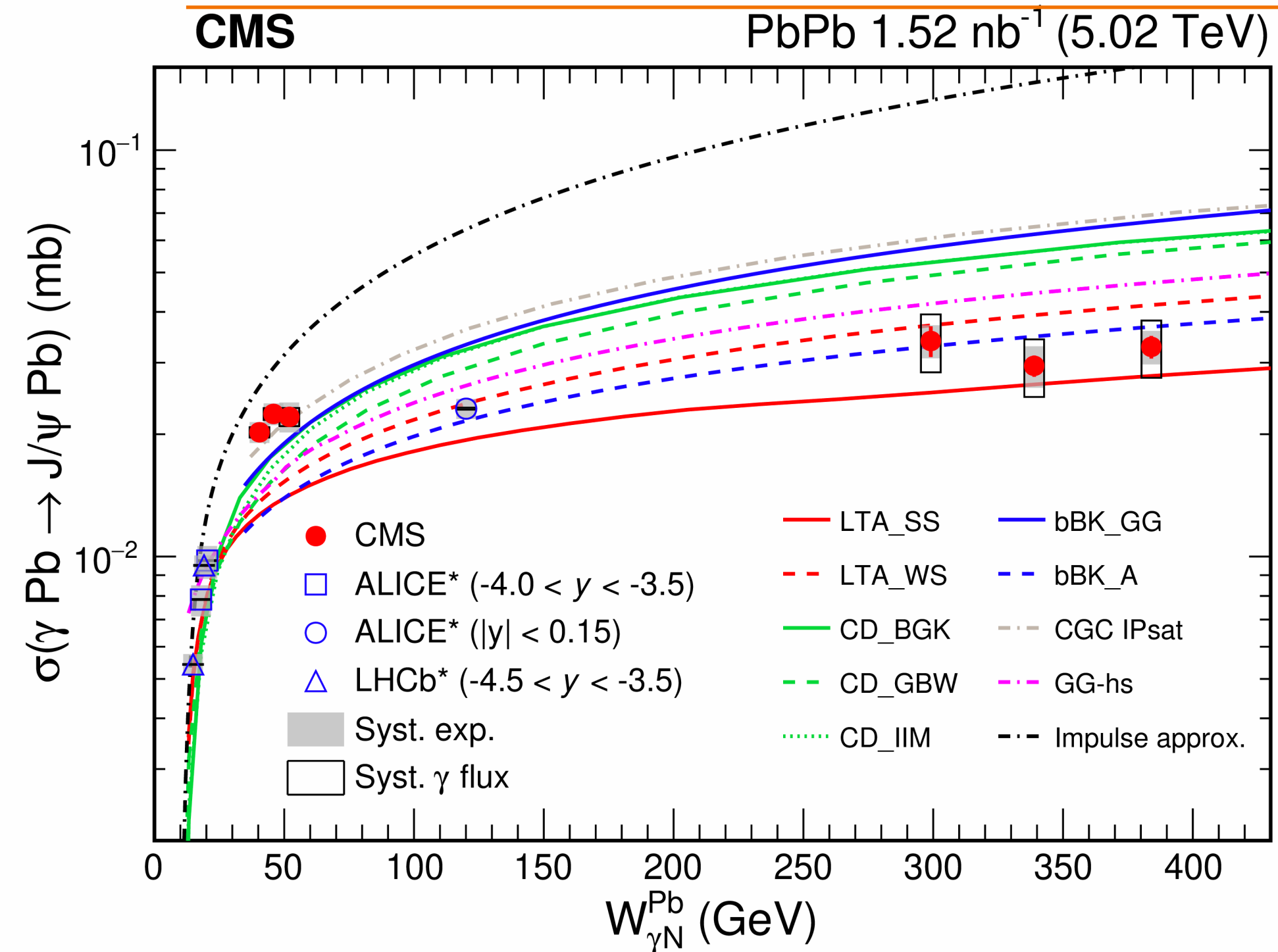
[ATLAS Collaboration](#)

[Nature Physics](#) 13, 852–858 (2017) | [Cite this article](#)

41k Accesses | 185 Citations | 521 Altmetric | [Metrics](#)

Exploiting both $\gamma\gamma$ and γ -A collisions

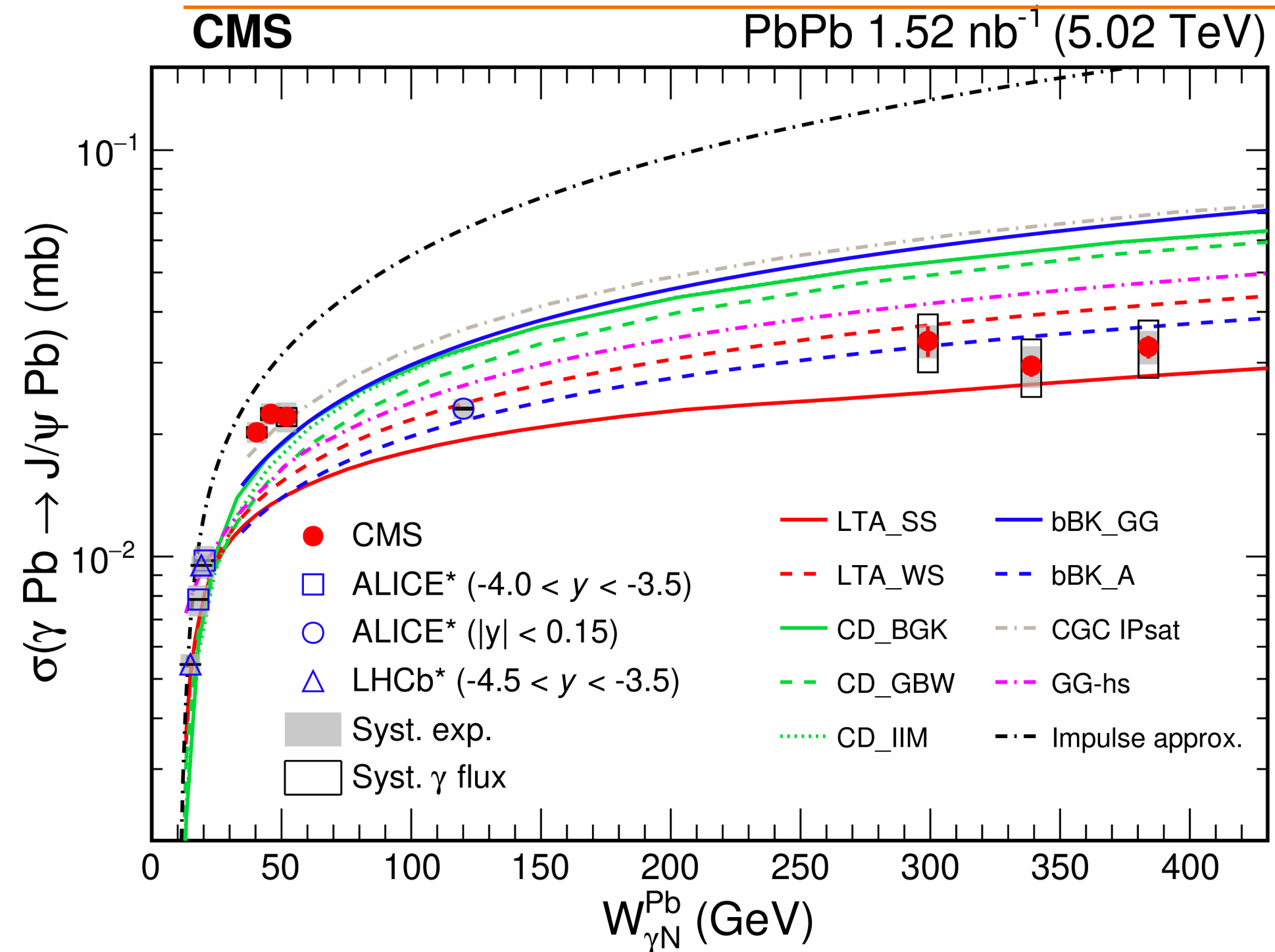
Evidence for gluon saturation



J/ ψ photo-production:

- CMS (and ALICE) recently accessed new W (photon-nucleon CM) range
- Shape of coherent $\sigma_{\gamma A \rightarrow J/\psi A'}(W)$ not predicted by models
- Gluon saturation? black disk limit?

Evidence for gluon saturation



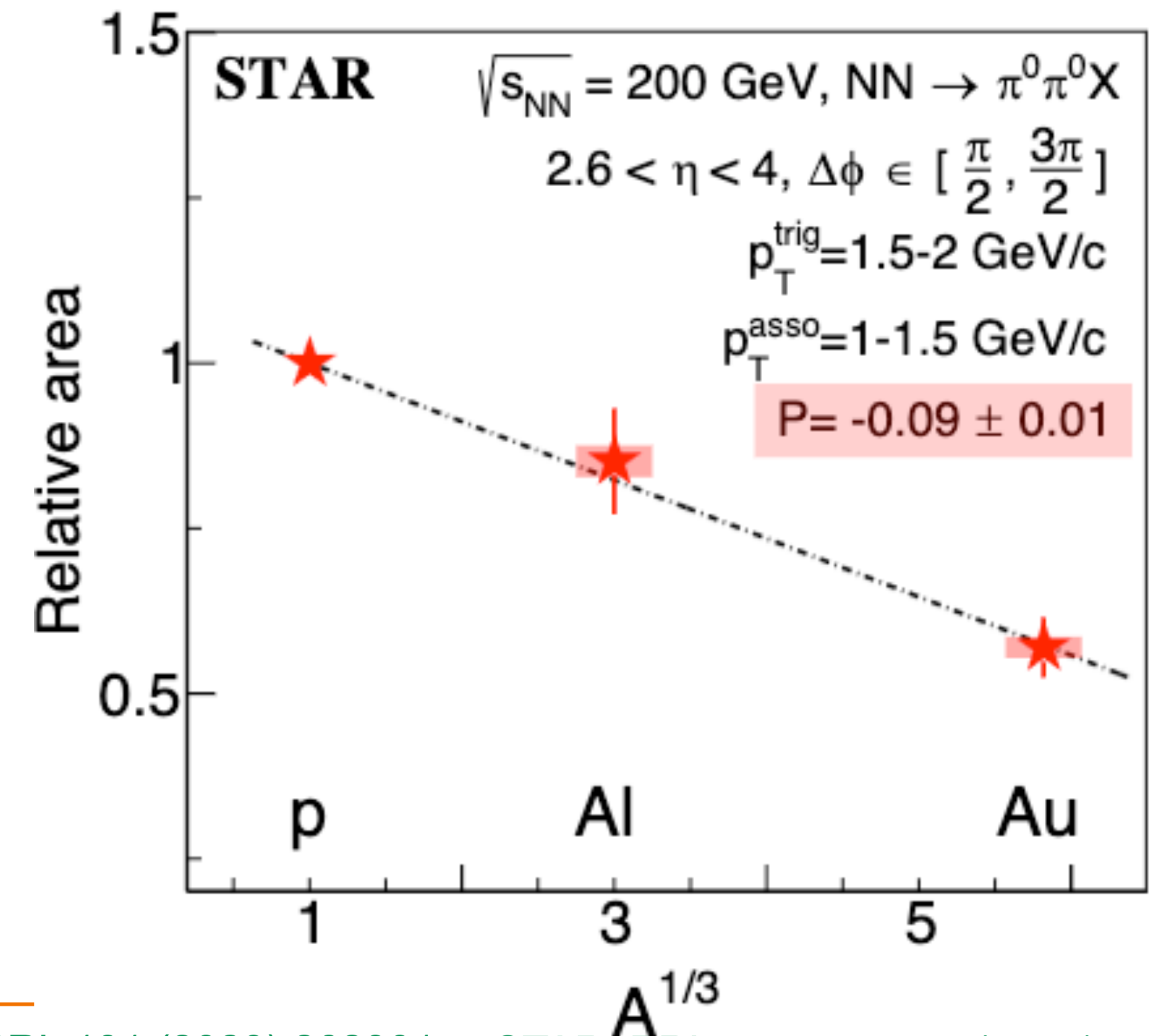
J/ ψ photo-production:

- CMS (and ALICE) recently accessed new W (photon-nucleon CM) range
- Shape of coherent $\sigma_{\gamma A \rightarrow J/\psi A'}(W)$ not predicted by models
- Gluon saturation? black disk limit?

Suppression of di- π^0 correlations in p+A

- Dependence on A as predicted
- No broadening, not as predicted

Hints of saturation at RHIC and LHC



Anomalous magnetic moment of τ lepton

Recent a_μ ($a_l = 1/2(g - 2)l$) measurements challenge SM predictions.

If new physics and due to massive new particle, then τ would be much more sensitive

From p+p:

$$a_\tau = 0.0009 + 0.031 - 0.0021$$

(consistent with SM)

First uses of hadron-collider data to test EM properties of τ
Results are competitive with existing lepton-collider constraints

CMS

138 fb⁻¹ (13 TeV)

• Observed — 68% CL — 95% CL

OPAL
 $ee \rightarrow Z \rightarrow \tau\tau\gamma$
PLB 434 (1998) 188

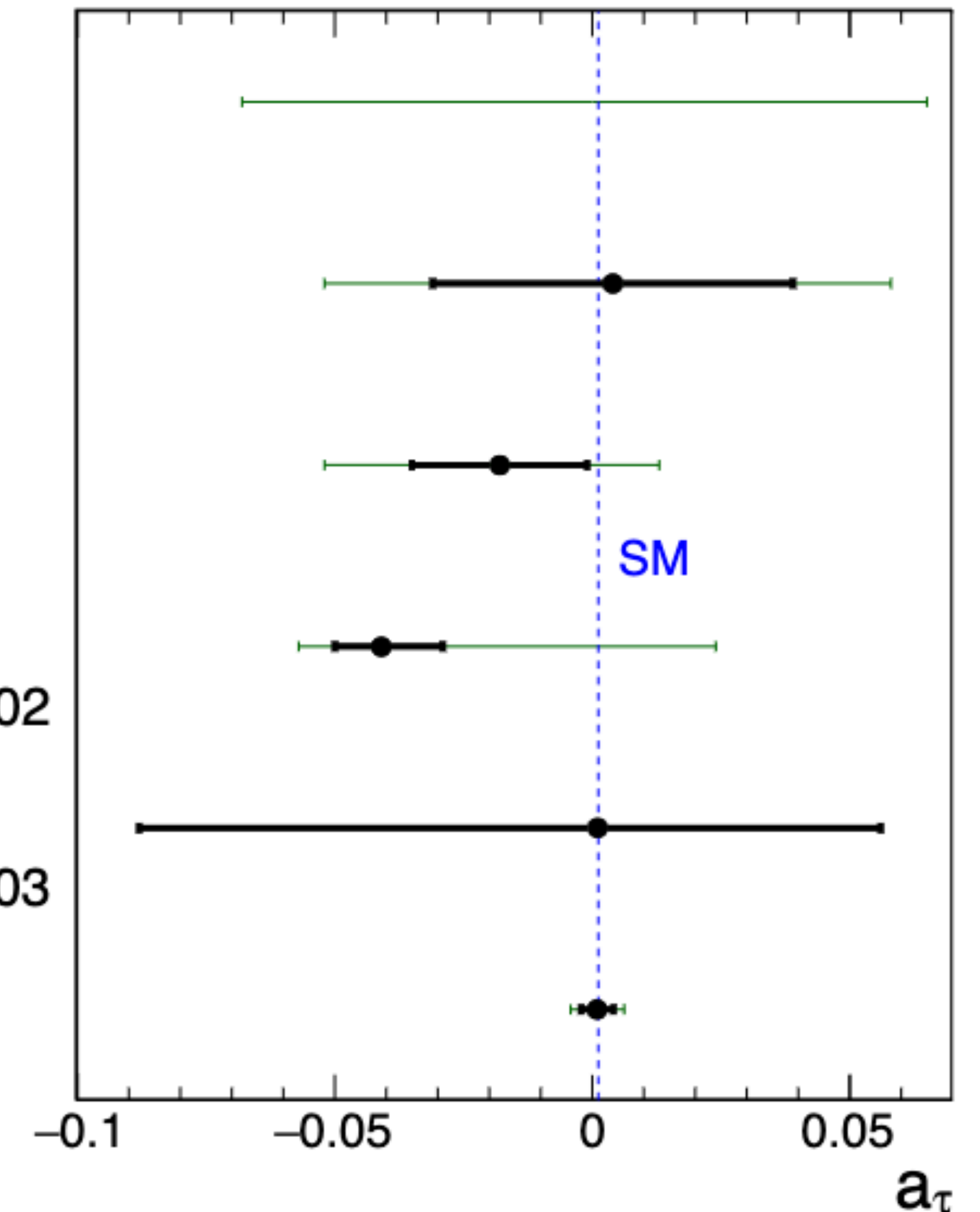
L3
 $ee \rightarrow Z \rightarrow \tau\tau\gamma$
PLB 434 (1998) 169

DELPHI
 $\gamma\gamma \rightarrow \tau\tau$ (γ from e)
EPJC 35 (2004) 159

ATLAS
 $\gamma\gamma \rightarrow \tau\tau$ (γ from Pb)
PRL 131 (2023) 151802

CMS
 $\gamma\gamma \rightarrow \tau\tau$ (γ from Pb)
PRL 131 (2023) 151803

CMS
 $\gamma\gamma \rightarrow \tau\tau$ (γ from p)
This result



Summary

Wealth of high quality data across $\sqrt{s_{NN}}$, species and centralities has **conclusively shown that a QGP** is formed are allowing detailed studies that highlight underlying physics we could previously gloss over

Much is now understood about this unique state of matter

We have uncontrovertibly established that:

- the QGP is a dense and opaque and initially very hot
- the QGP is highly vortical
- the QGP flows almost as a perfect liquid (very small shear and bulk viscosity)
- the relevant degrees of freedom are those of quarks and gluons
- equilibration/thermalization is first achieved in the QGP and persists through to chemical freeze out

Outlooks

Bright future ahead

Next few years: New data from sPHENIX, STAR forward, LHC Run-3

Next-to-Next few years: EIC, ALICE-3, and CBM@FAIR

Lots left to discover!

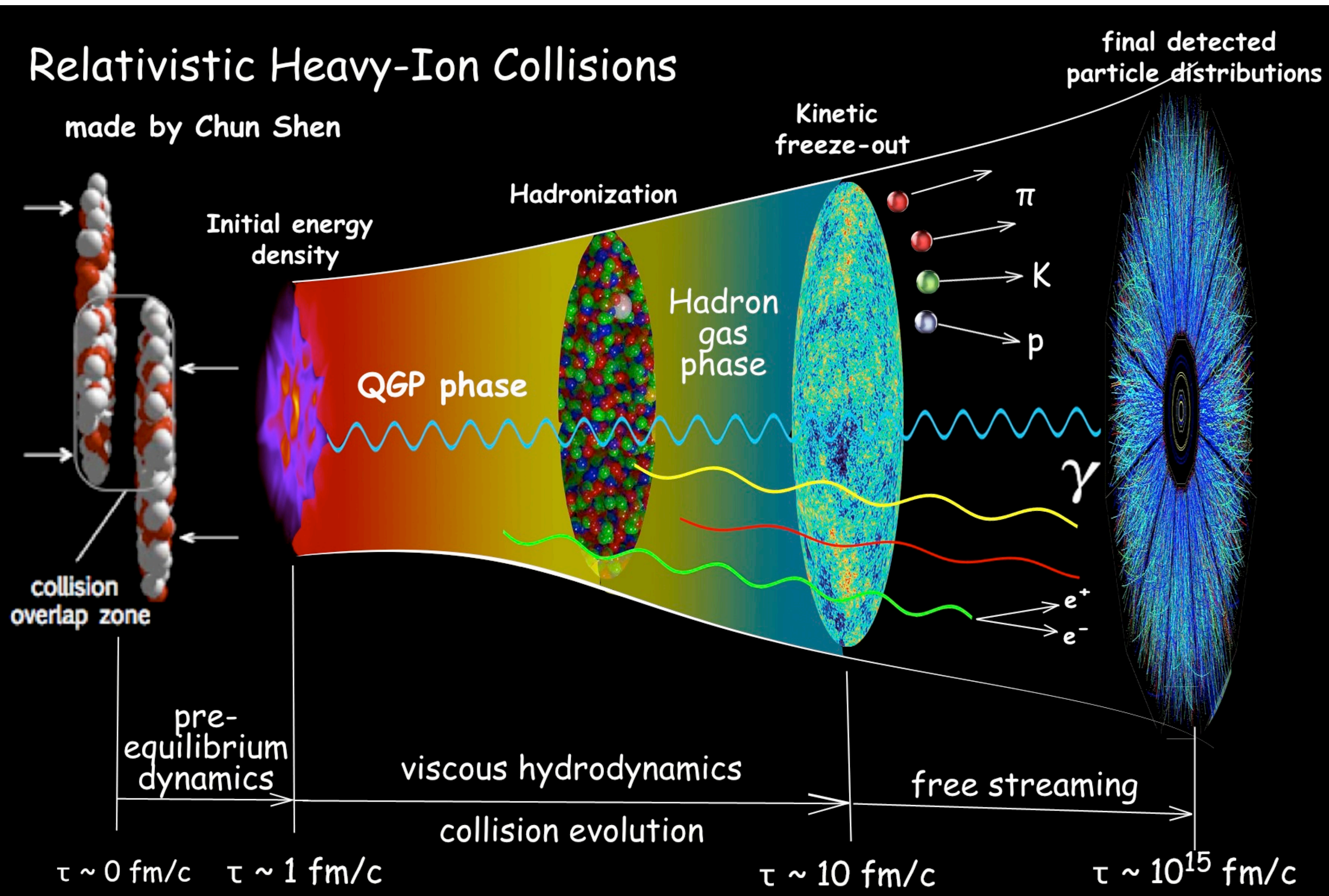
Of the open questions that remain are:

- What are the minimal conditions to create a QGP?
- Is there a Critical Point in the QCD phase diagram?
- Can we see evidence of chiral restoration?
- Can we determine additional properties such as its heat capacity, compression modulus, electric conductivity, color conductivity?
- What is the magnitude of the initial magnetic field?
- How is baryon number carried?

Timeline of a heavy-ion collision

Relativistic Heavy-Ion Collisions

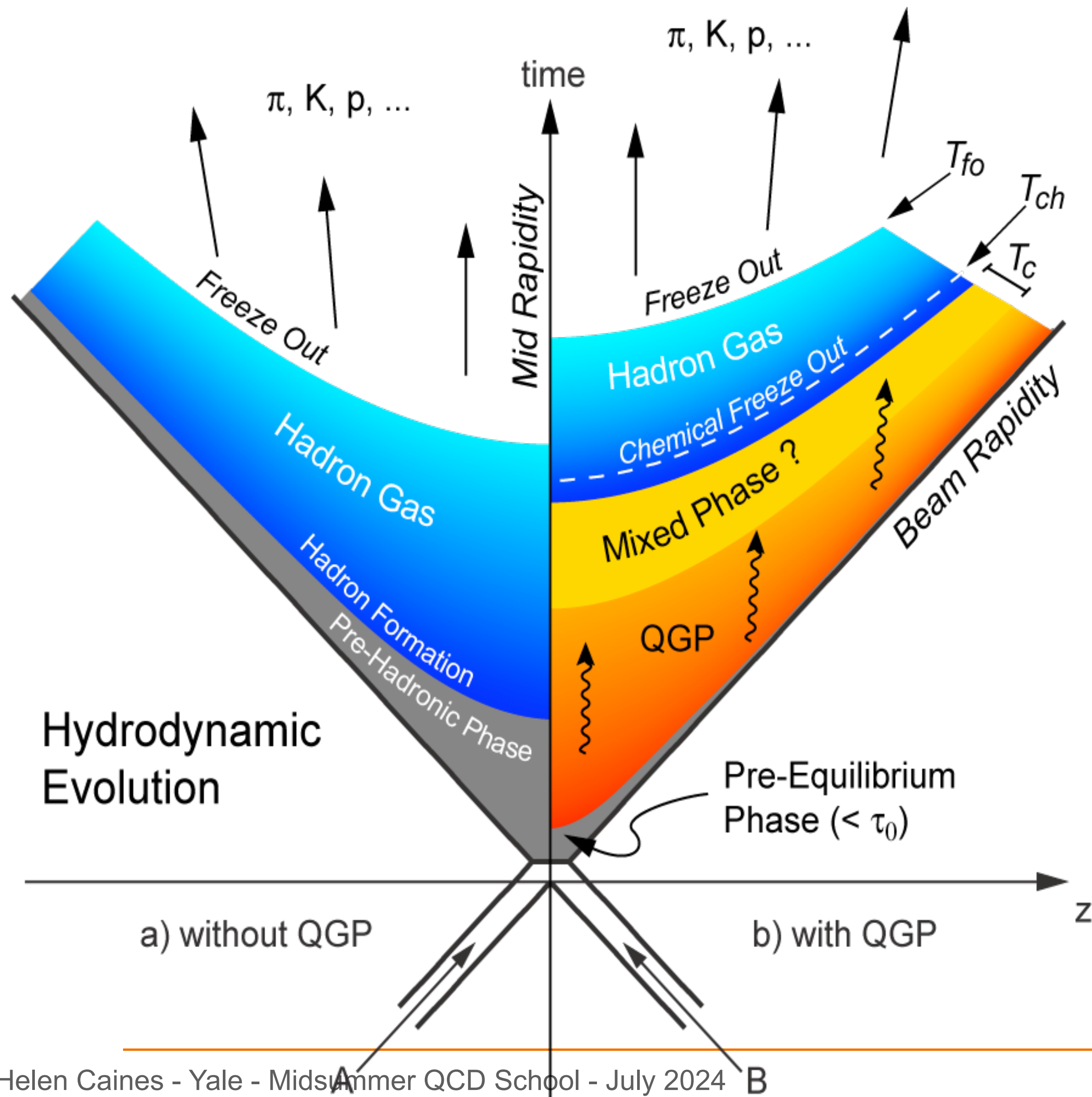
made by Chun Shen



Can only measure final state particles and photons

How to probe the earlier stages?

The phase transition in the laboratory



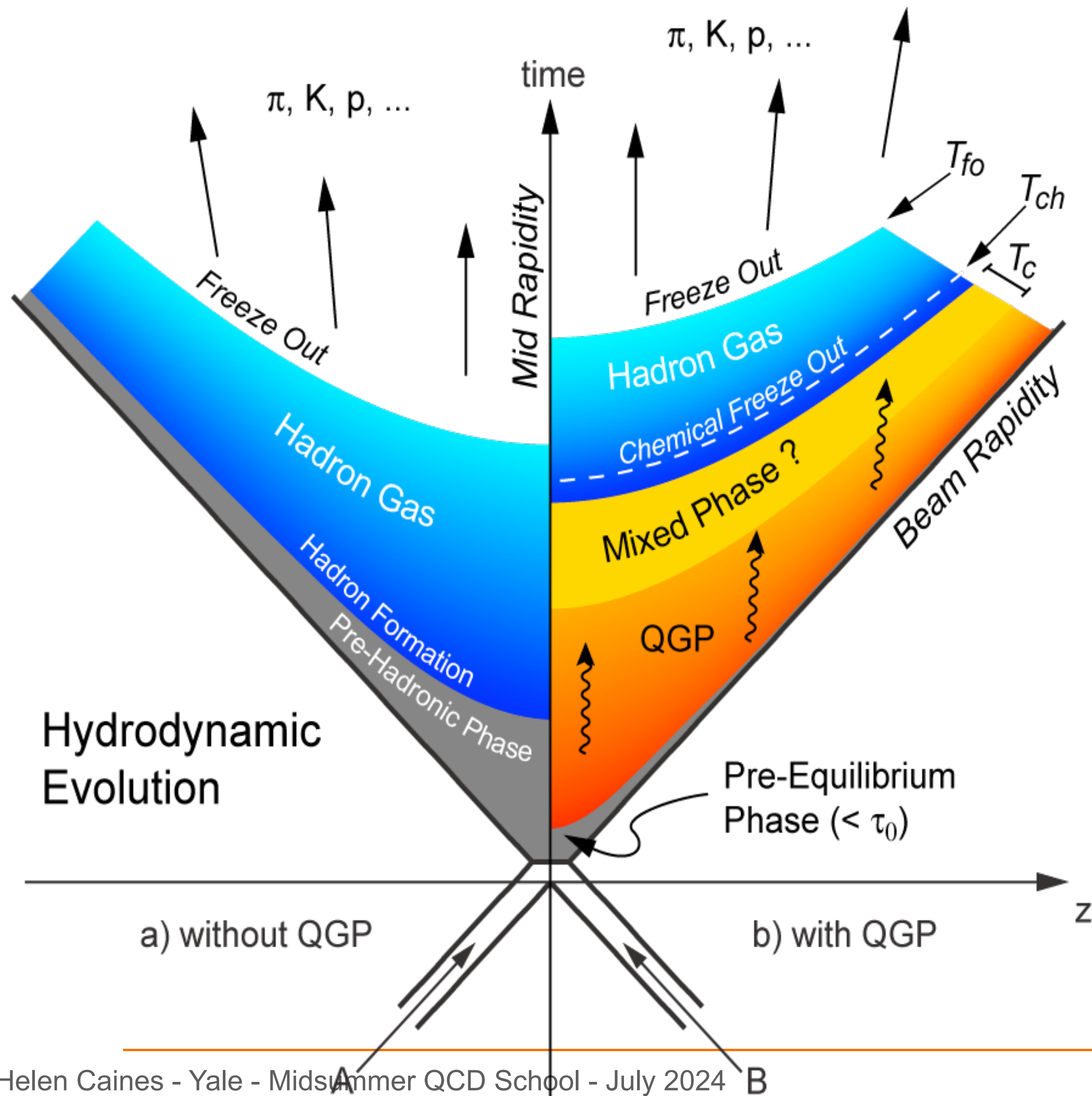
Chemical freeze-out:

$(T_{ch} \leq T_c)$: inelastic scattering ceases

Kinetic freeze-out:

$(T_{fo} \leq T_{ch})$: elastic scattering ceases

The phase transition in the laboratory



Chemical freeze-out:

($T_{ch} \leq T_c$): inelastic scattering ceases

Kinetic freeze-out:

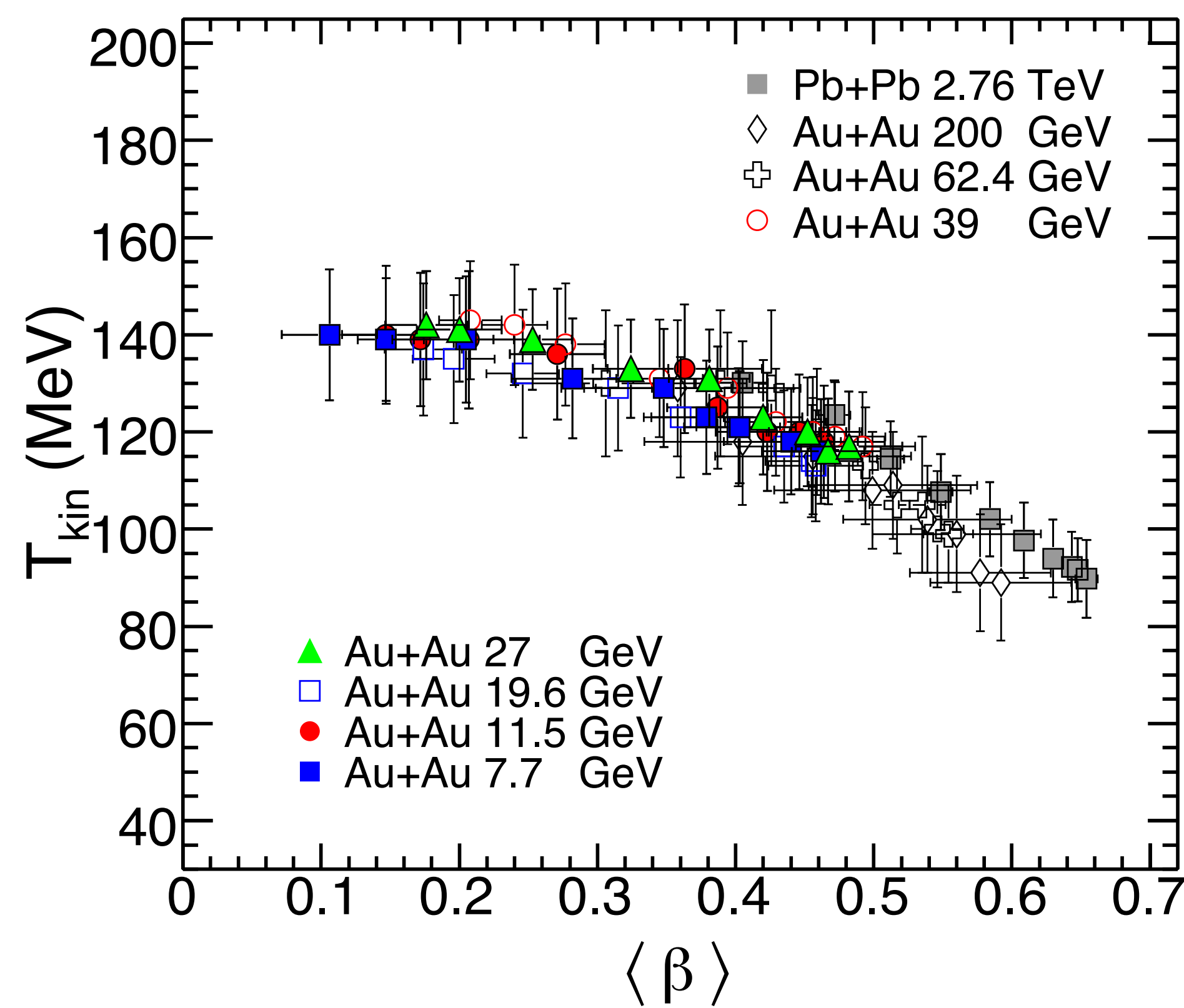
($T_{fo} \leq T_{ch}$): elastic scattering ceases

Energy density is a **necessary** but **not sufficient condition**

$\epsilon(\sqrt{s} = 7 \text{ TeV pp LHC}) \gg$
 $\epsilon(\sqrt{s} = 200 \text{ GeV Au-Au RHIC})$

Thermal Equilibrium \Rightarrow
 many constituents

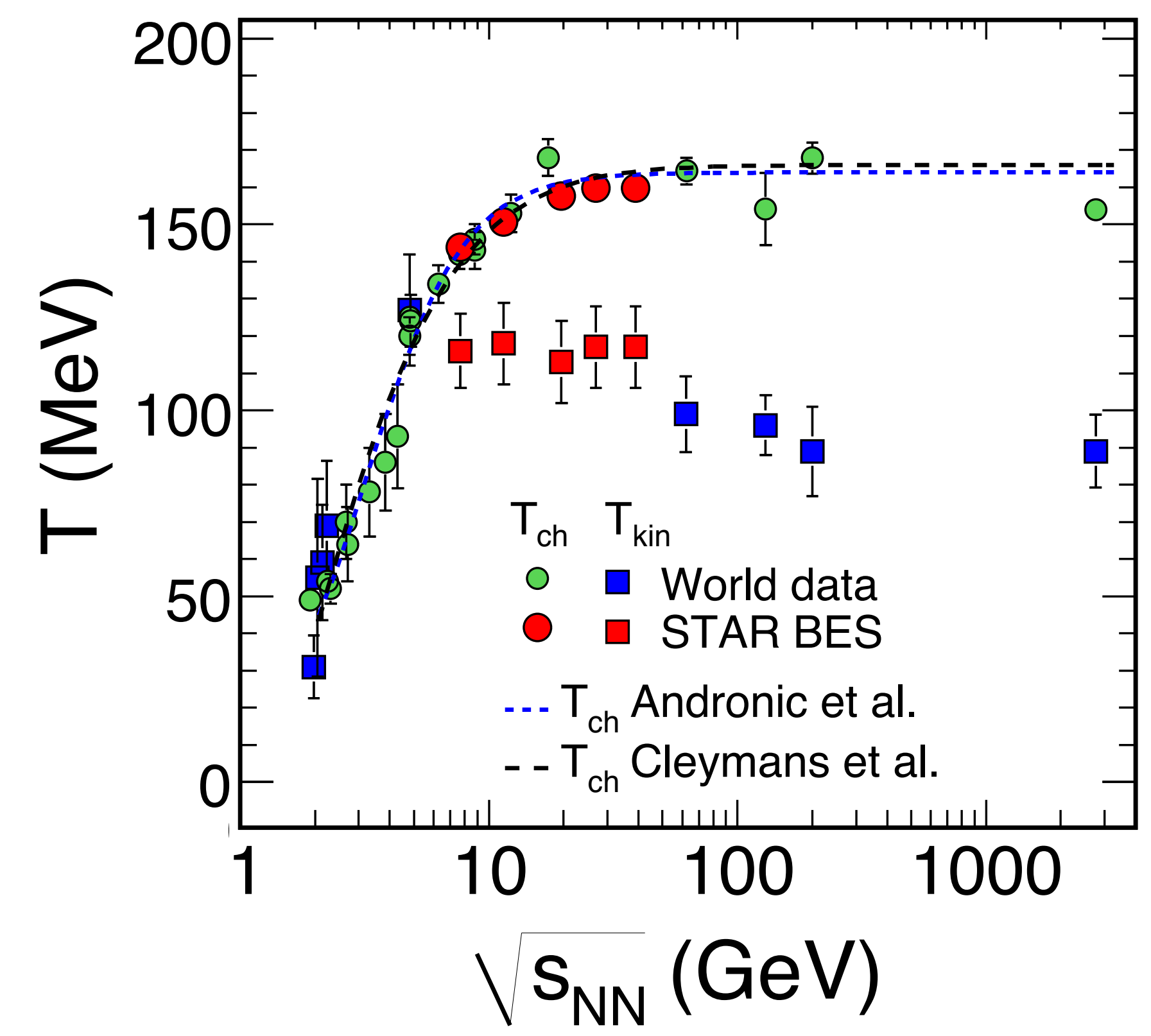
Establishing the “basics”: Kinetic freeze-out



$T_{kin} \sim T_{ch}$ below $\sqrt{s} \sim 7$ GeV

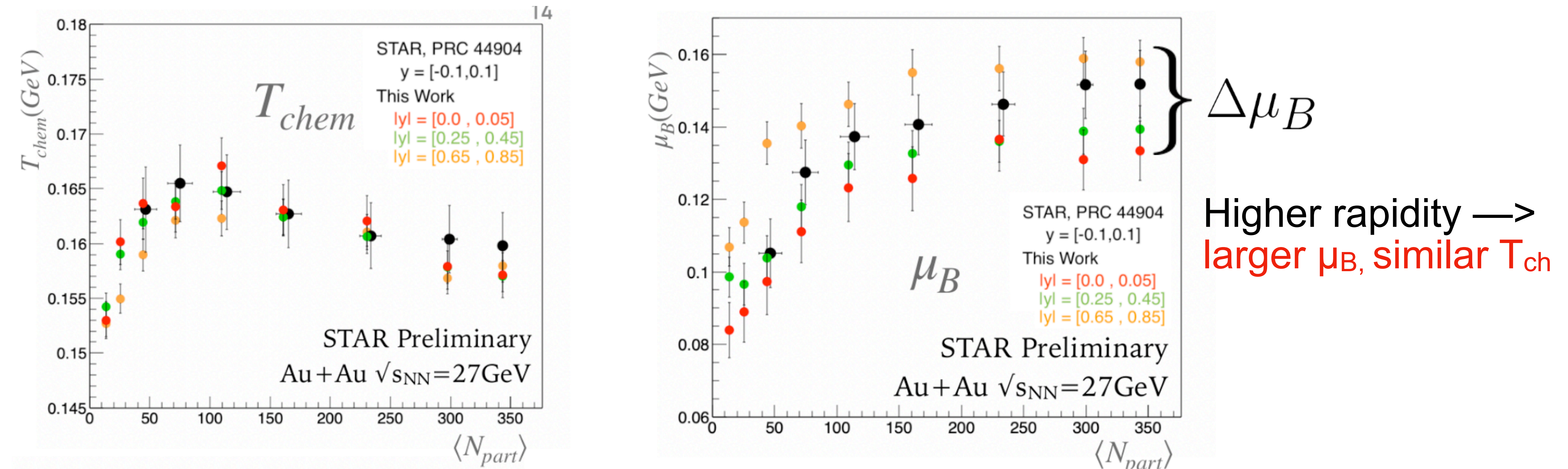
Stronger collectivity at higher \sqrt{s}

Central collisions:
 Lower $T \rightarrow$ higher β



Varying trajectory through the phase diagram?

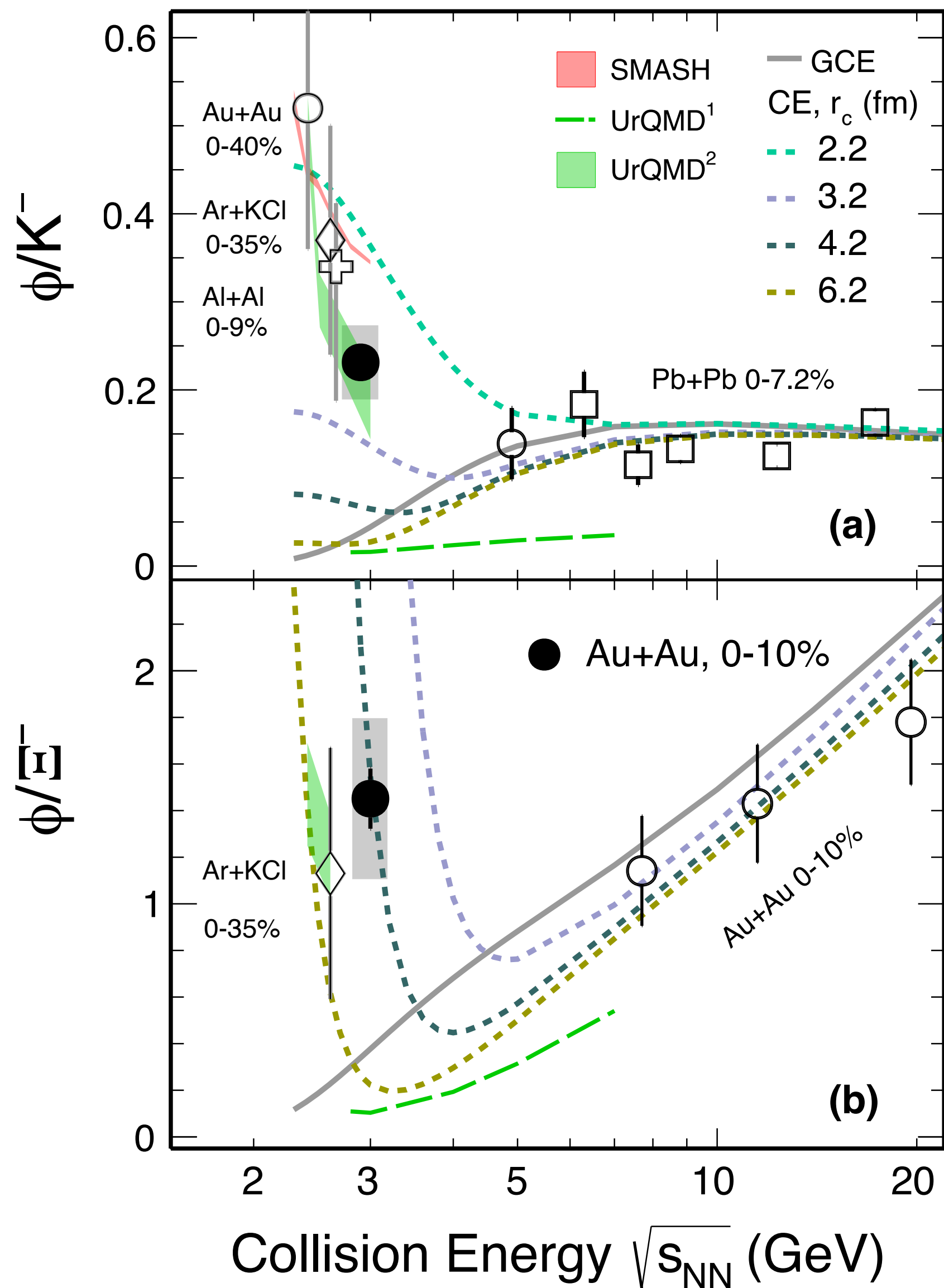
With BES-II statistics and new TPC acceptance can explore rapidity dependence



Next step: Compare mid-rapidity/low $\sqrt{s_{NN}}$ and high rapidity/high $\sqrt{s_{NN}}$

Chemical freeze-out parameters match but initial conditions differ.
Can we see the difference imprinted elsewhere?

Probing (grand)canonical production



Things change at $\sqrt{s_{NN}} = 3$ GeV

Collision energy:
below threshold for Ξ
very close to threshold for ϕ

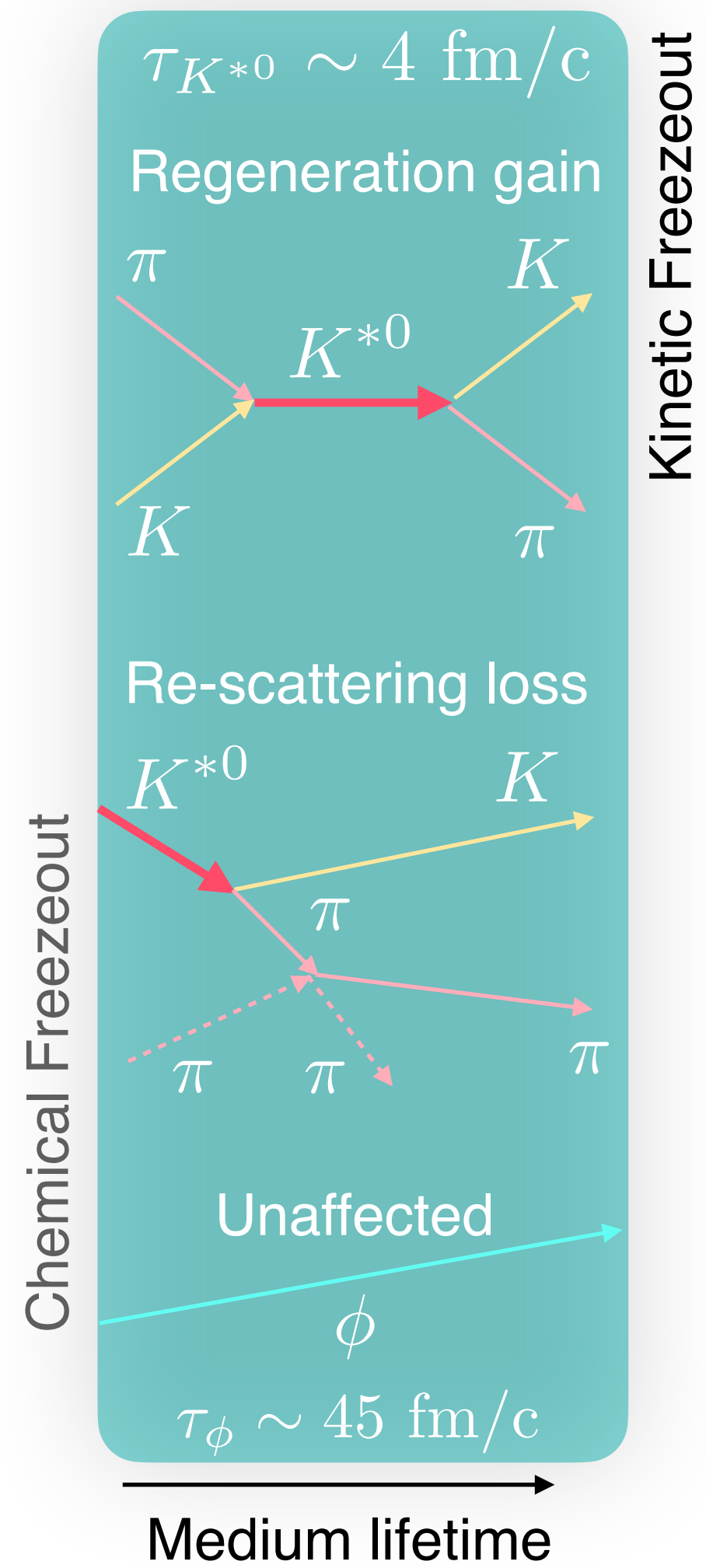
Local treatment of strangeness conservation crucial

Small strangeness correlation radius preferred
 $r_c \leq 4.2$ fm

CE cannot simultaneously describe ϕ/K^- and ϕ/Ξ^- ratios
significant change in strangeness production at this low energy

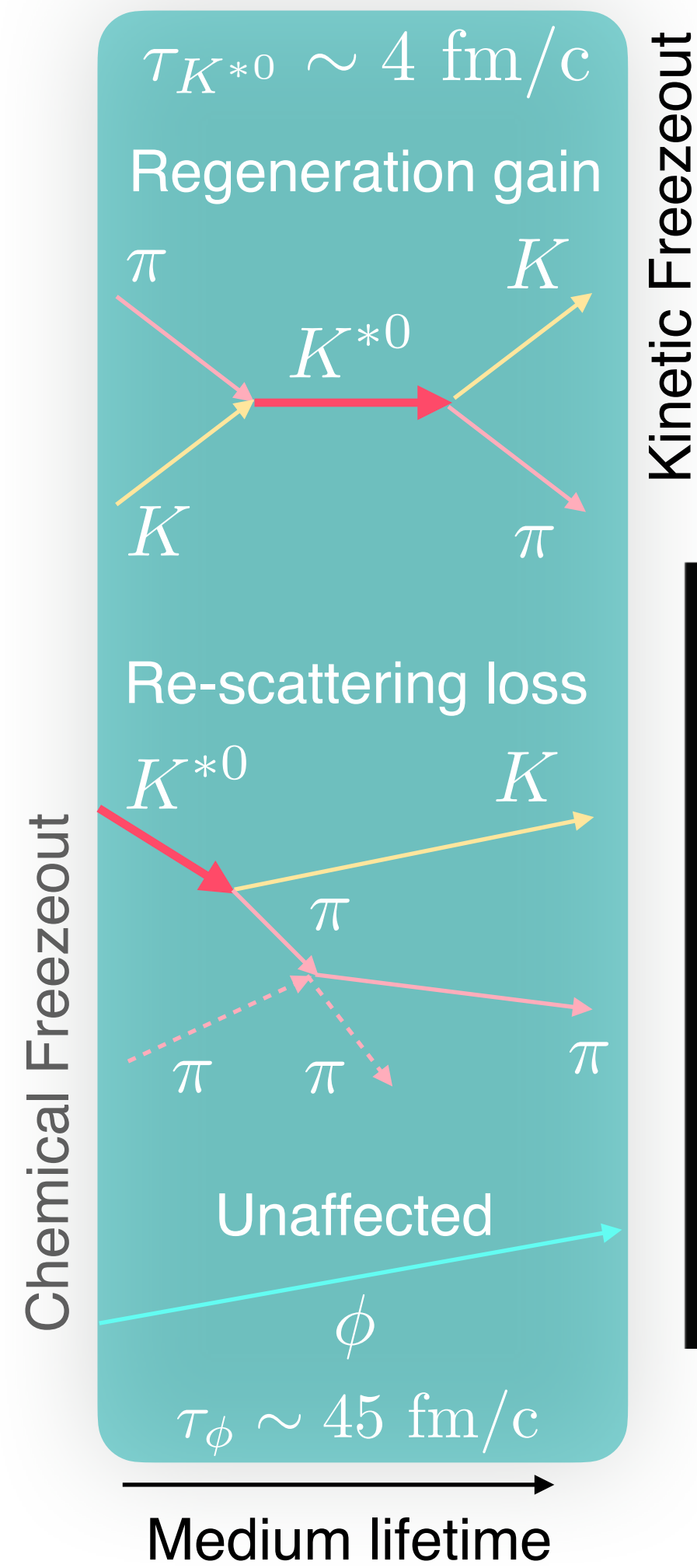
$T_{ch} = 72.9$ MeV and $\mu_B = 701.4$ MeV

Strange resonance production

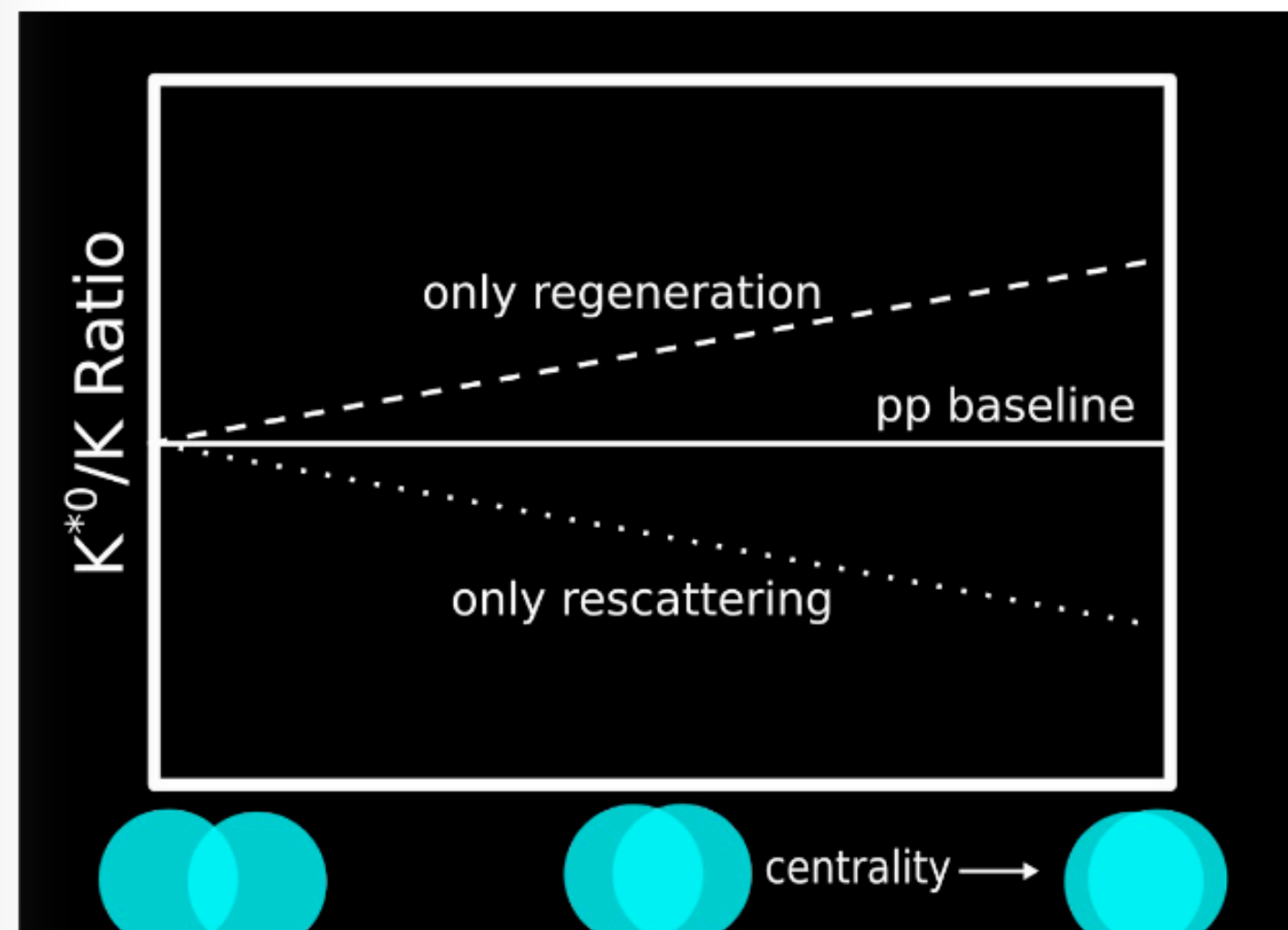


Resonance/non-resonance probes hadronic phase between chemical and kinetic freeze-out

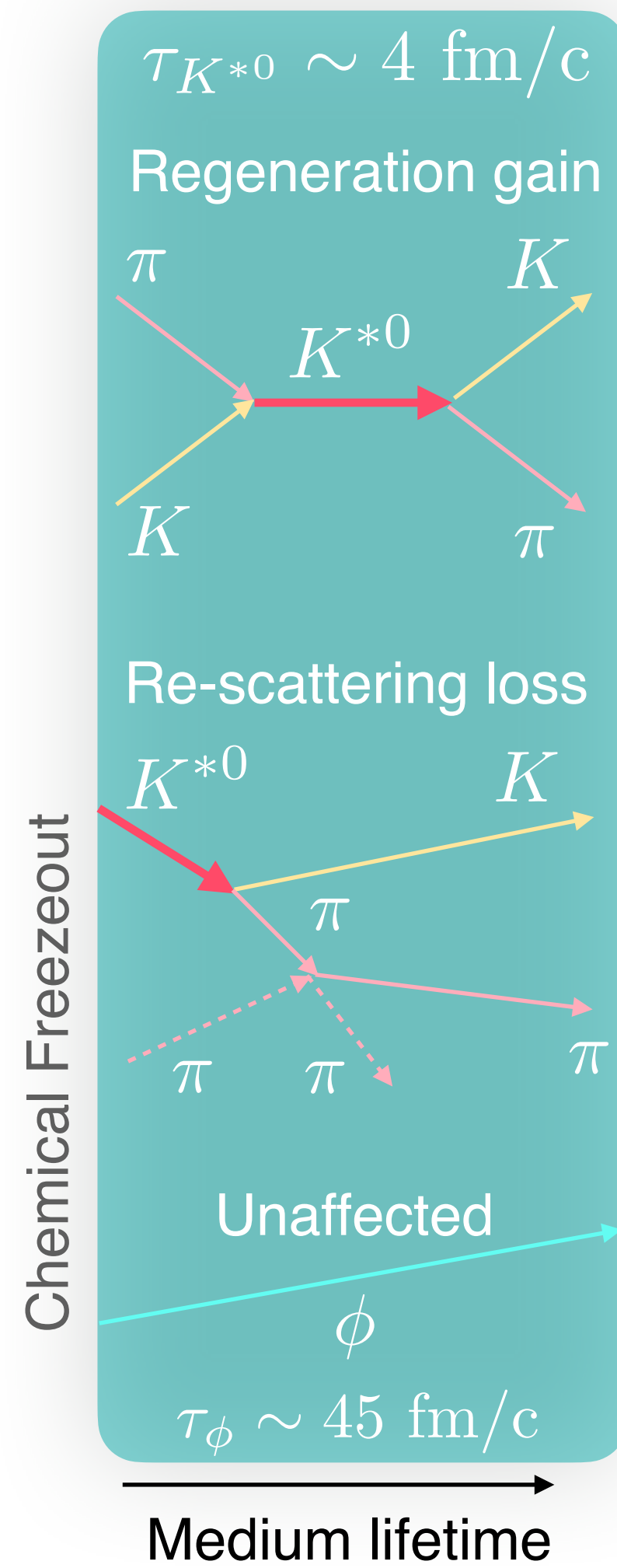
Strange resonance production



Resonance/non-resonance probes hadronic phase between chemical and kinetic freeze-out

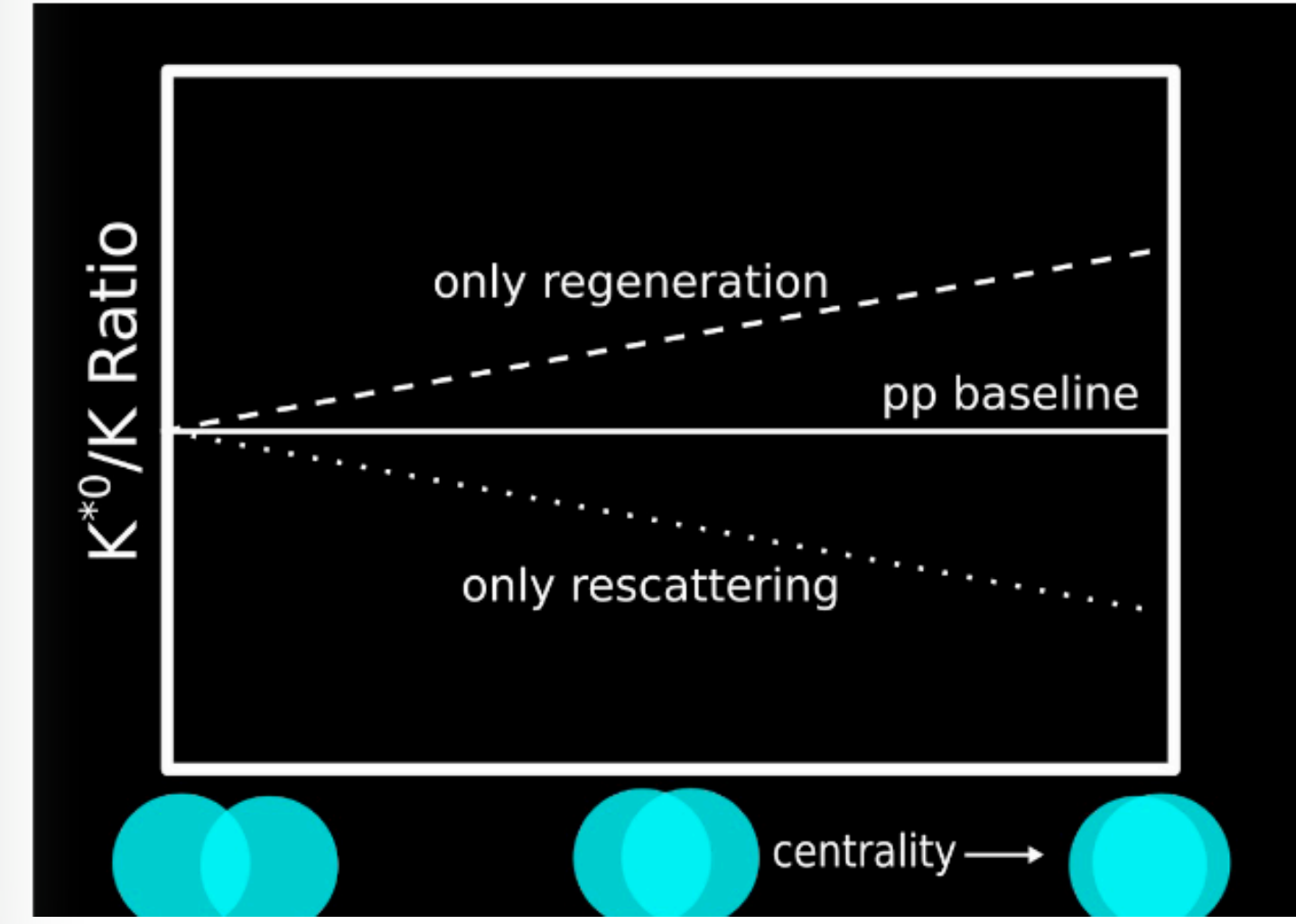


Strange resonance production

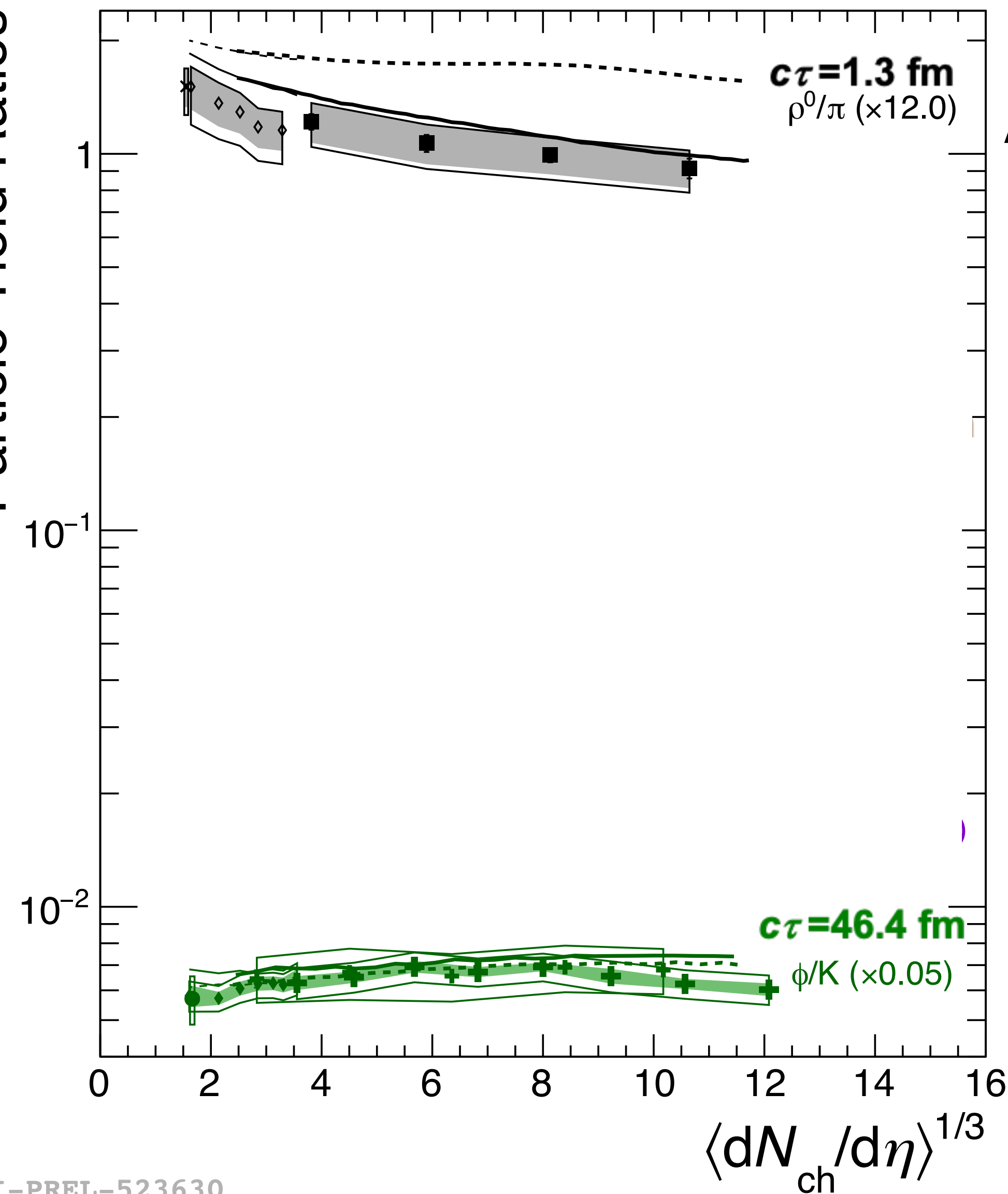


Kinetic Freezeout

Resonance/non-resonance probes hadronic phase between chemical and kinetic freeze-out



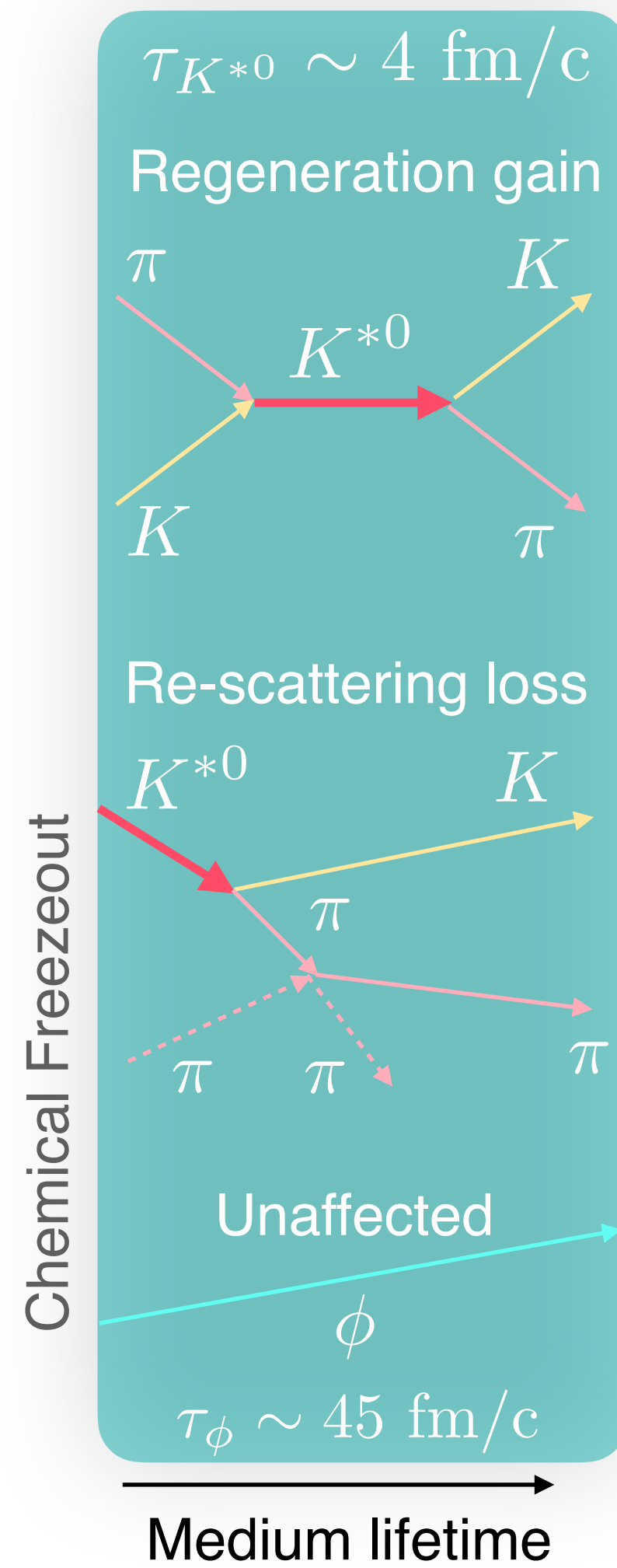
Particle Yield Ratios



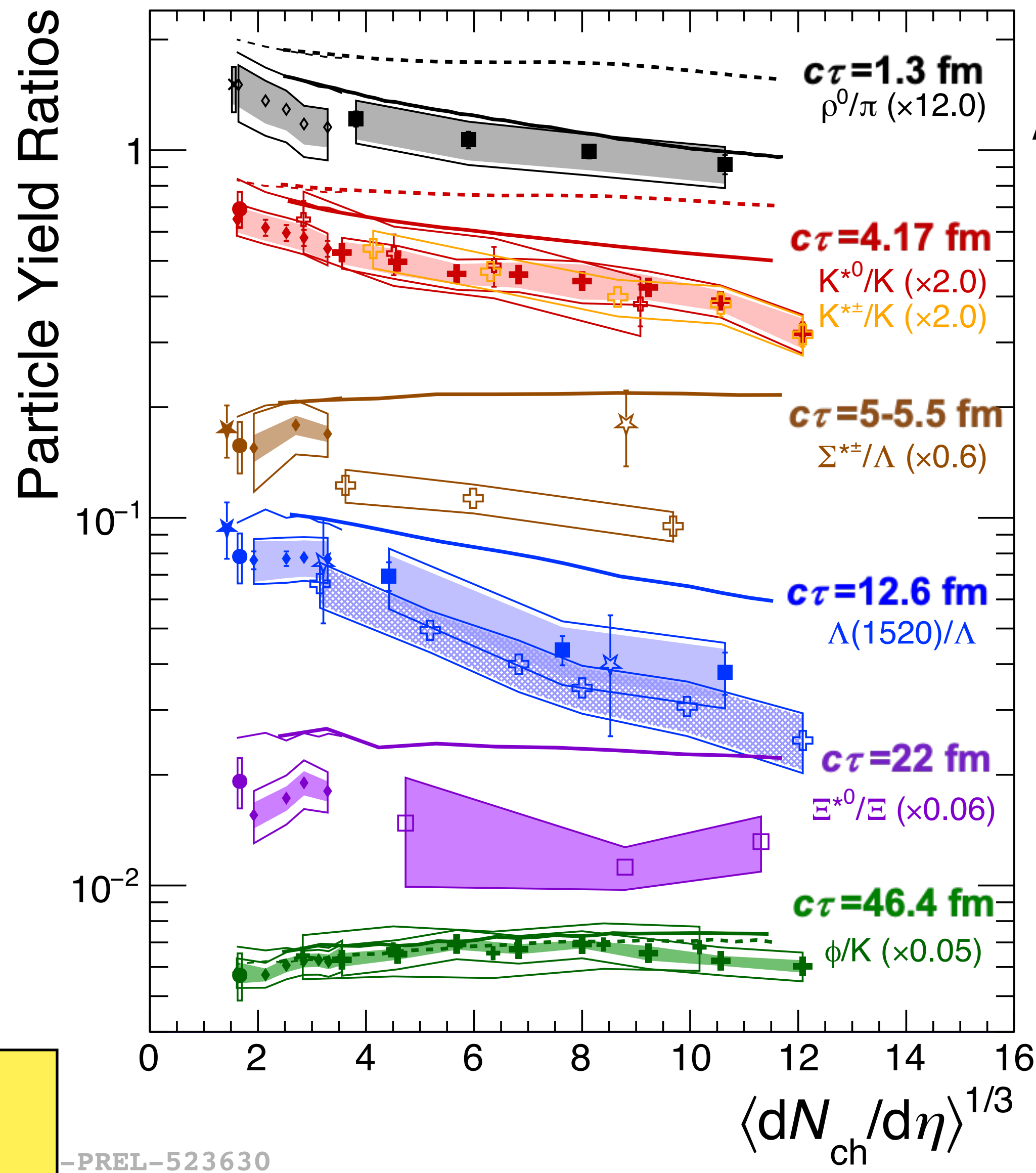
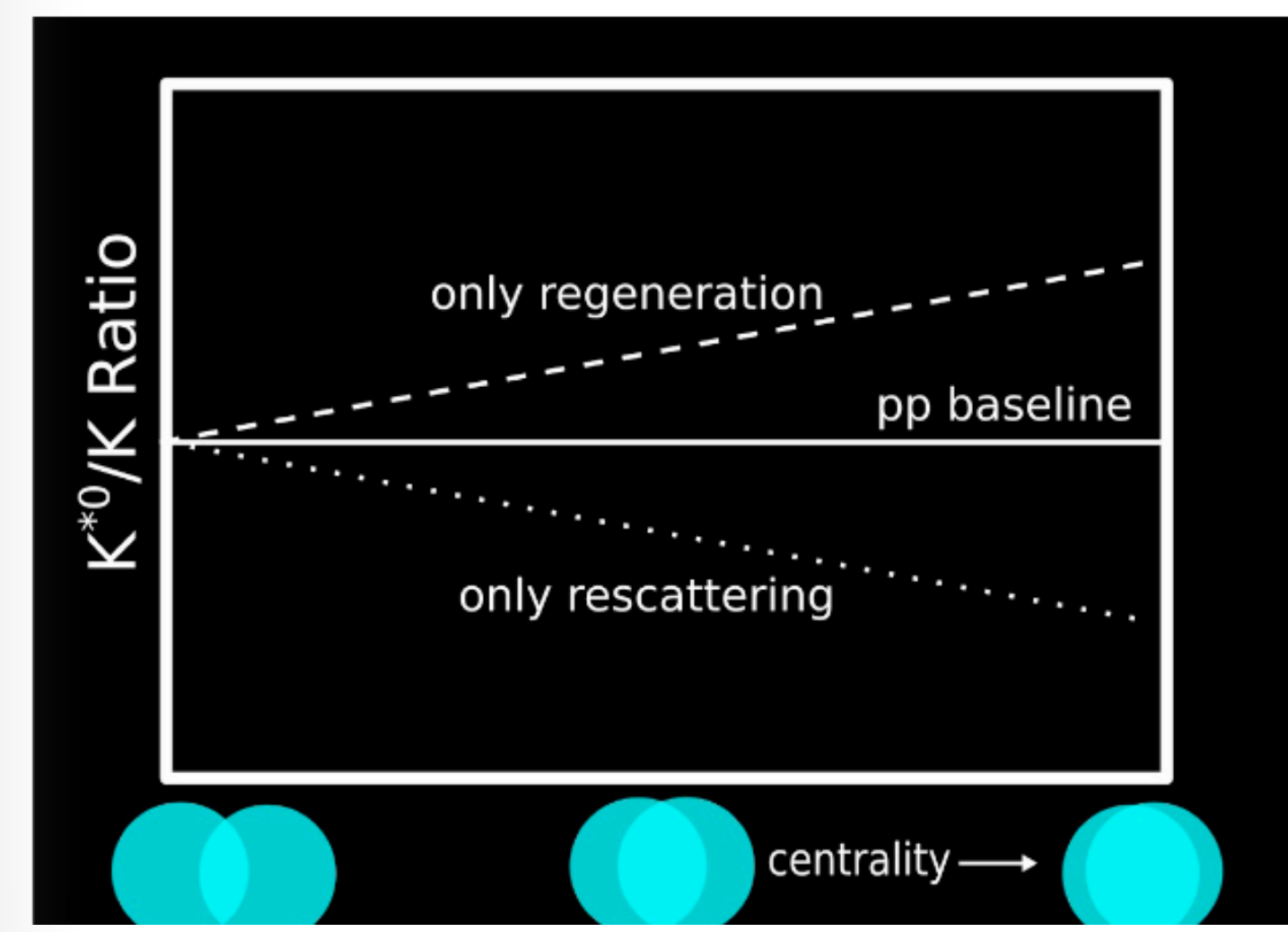
- ALICE Preliminary**
- \diamond p-Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
 - \square Pb-Pb $\sqrt{s_{NN}} = 2.76 \text{ TeV}$
 - \oplus Pb-Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
 - \boxplus Xe-Xe $\sqrt{s_{NN}} = 5.44 \text{ TeV}$
- ALICE**
- \times pp $\sqrt{s} = 2.76 \text{ TeV}$
 - \bullet pp $\sqrt{s} = 7 \text{ TeV}$
 - \diamond p-Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
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- STAR**
- \star pp $\sqrt{s} = 200 \text{ GeV}$
 - \star Au-Au $\sqrt{s_{NN}} = 200 \text{ GeV}$
- EPOS3**
- --- p-Pb UrQMD ON
 - --- Pb-Pb UrQMD ON
 - --- UrQMD OFF

ALI-PREL-523630

Strange resonance production



Resonance/non-resonance probes hadronic phase between chemical and kinetic freeze-out



- ALICE Preliminary**
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 - \star Au-Au $\sqrt{s_{NN}} = 200 \text{ GeV}$
- EPOS3**
- p-Pb Pb-Pb
 - --- --- UrQMD ON
 - - - - - - - UrQMD OFF

Ratios suggest hadronic phase is long, rescattering cross-section also important

-PREL-523630

Softening of Equation of State

Fermi-Landau initial conditions with ideal hydro expansion : $c_s^2 = \partial P / \partial \epsilon$

$c_s^2 = 0$ for a sharp phase transition

Softest Point: minimum in c_s^2

$$\frac{dn}{dy} = \frac{Ks_{NN}^{1/4}}{\sqrt{2\pi\sigma_y^2}} e^{-\frac{y^2}{2\sigma_y^2}} \quad \sigma_y^2 = \frac{8}{3} \frac{c_s^2}{1-c_s^4} \ln\left(\frac{\sqrt{s}}{2m_N}\right)$$

Minimum observed at $\sqrt{s} = \sim 7$ GeV

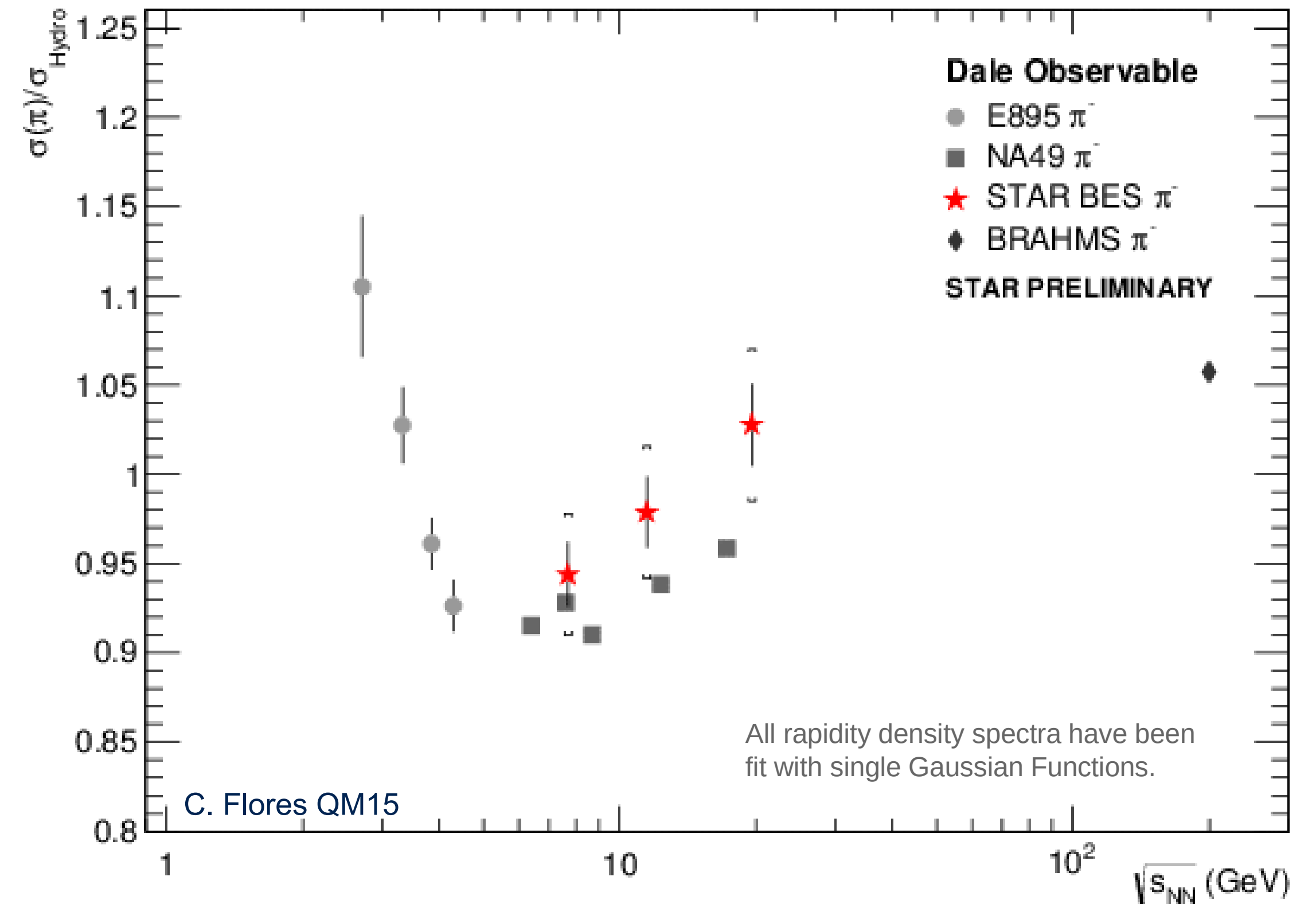
Minimum in the speed of sound?

$$c_s^2 \sim 0.26$$

Indication of softening of EoS?

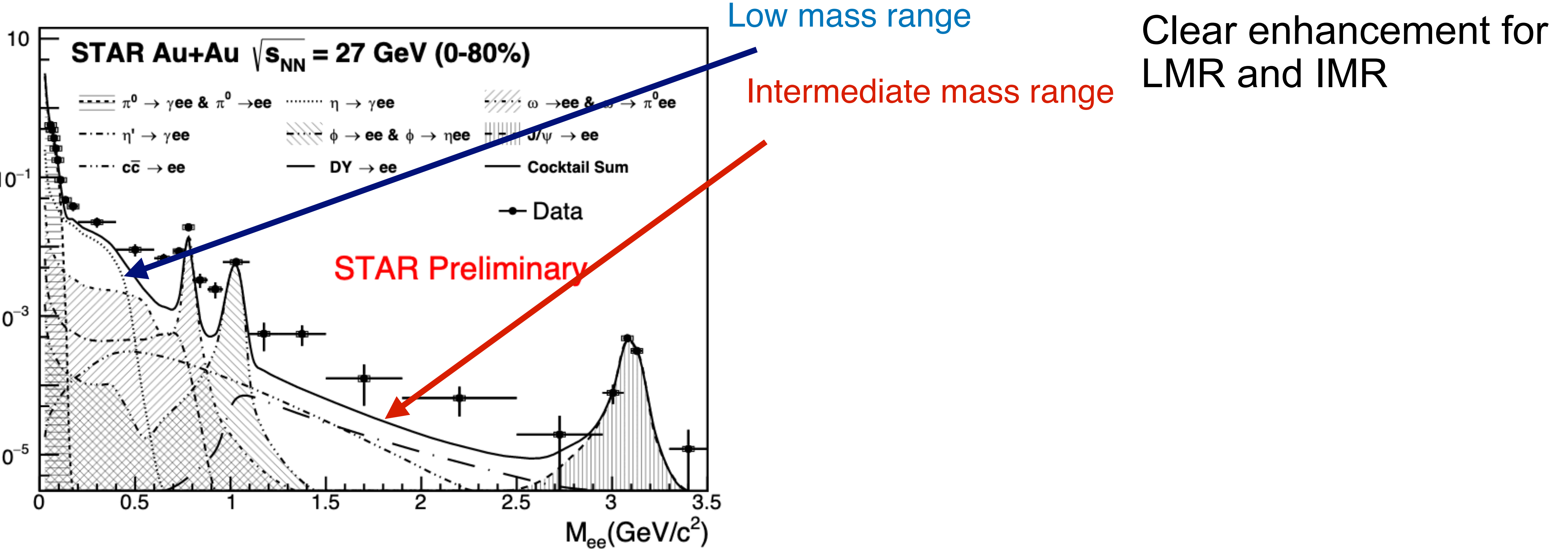
NA61/SHINE see minima in similar place for pp data

Confirm c_s in other ways?

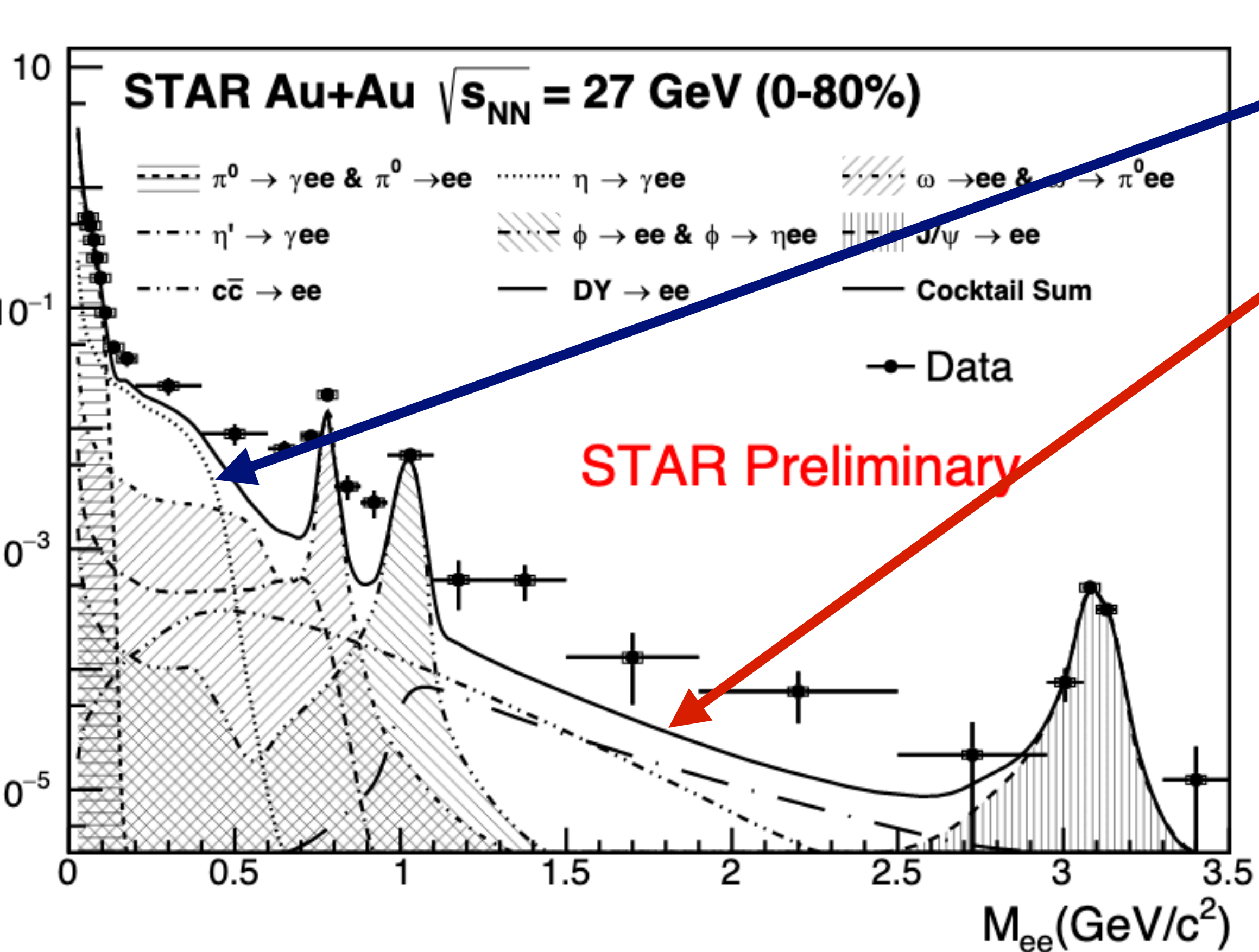


E895: J. L. Klay et al, PRC 68, 05495 (2003)
 NA49: S. V. Afanasiev et al. PRC 66, 054902 (2002)
 BRAHMS: I.G. Bearden et al., PRL 94, 162301

Significant enhancement above cocktail



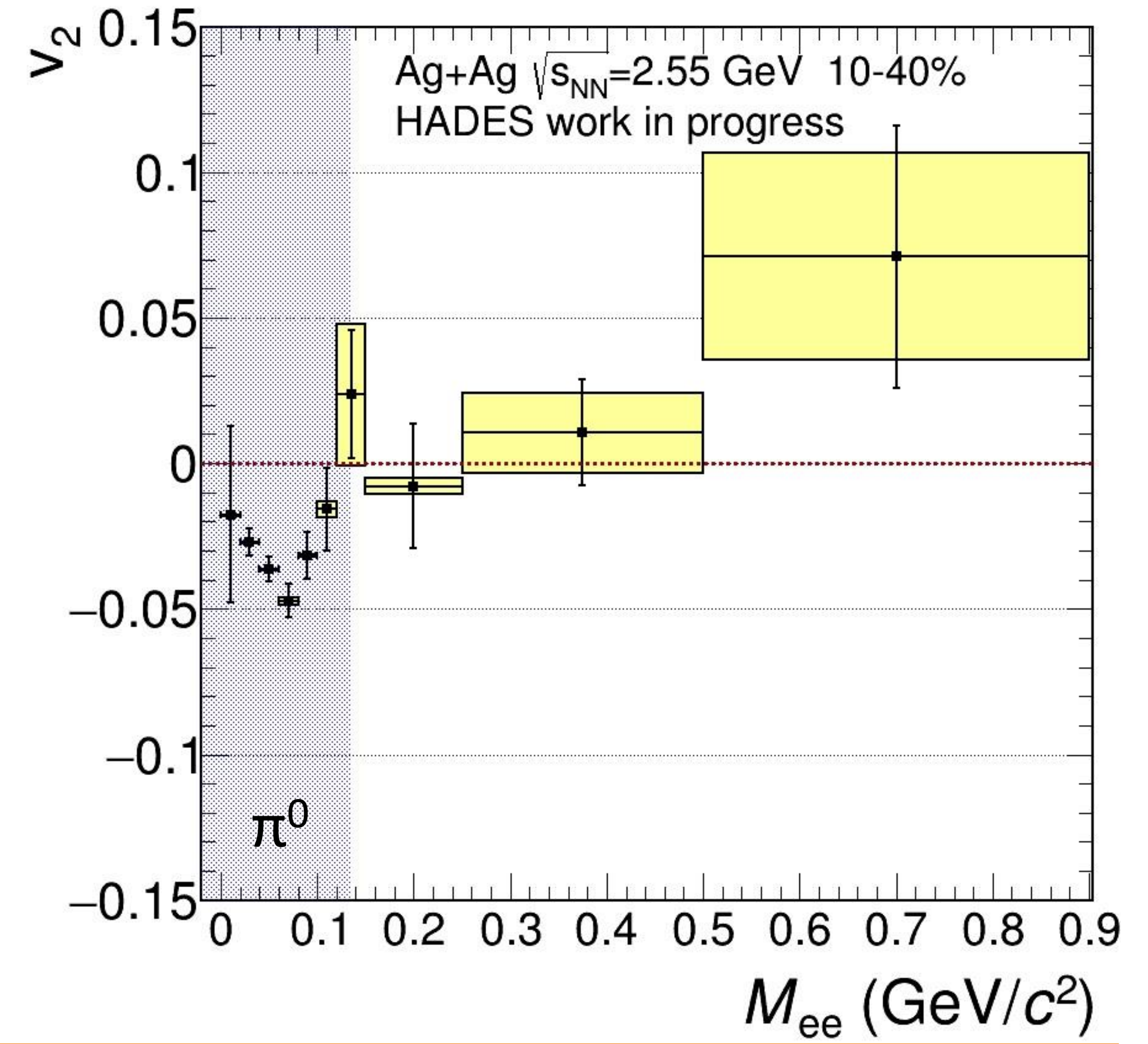
Significant enhancement above cocktail



Low mass range

Intermediate mass range

Clear enhancement for LMR and IMR



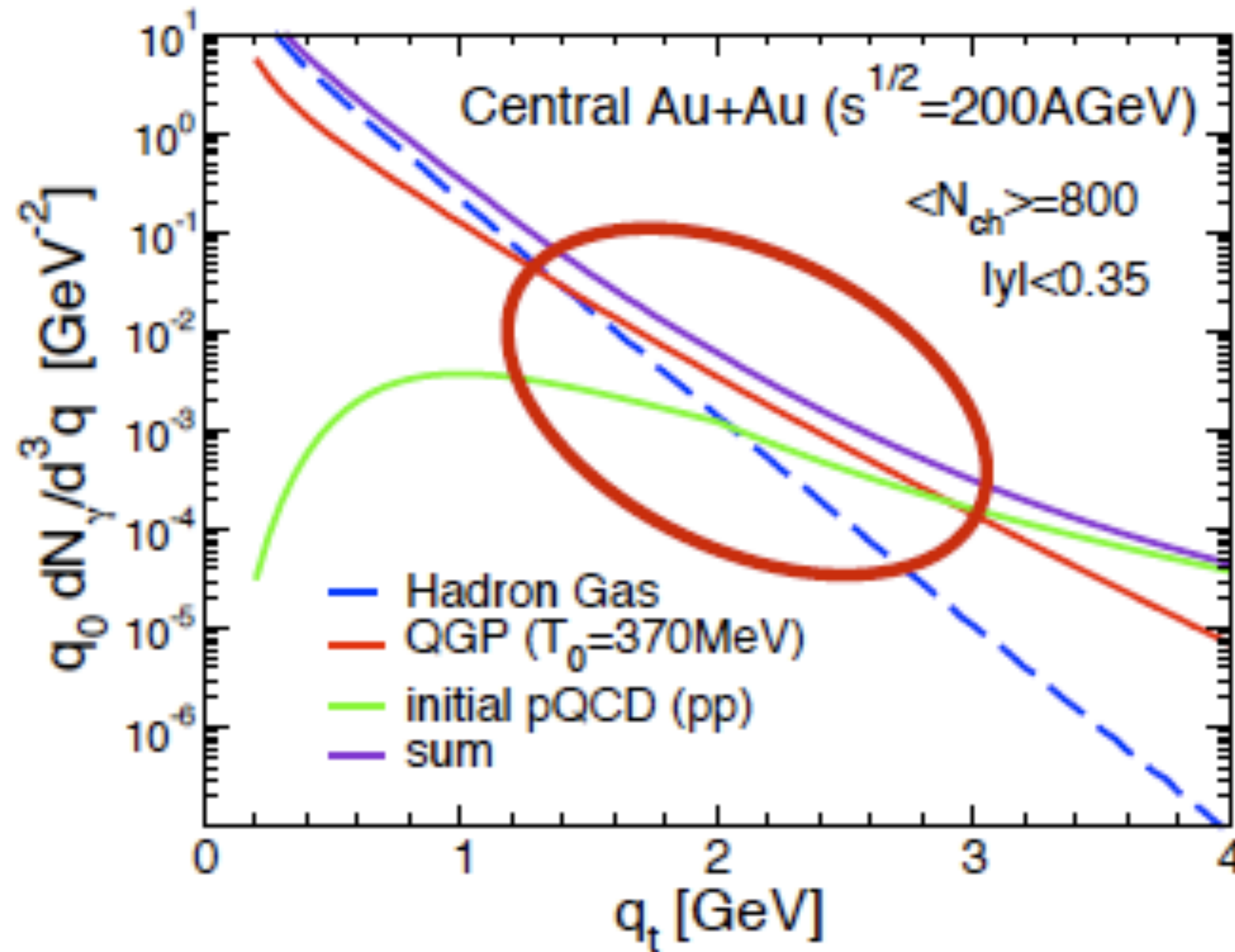
When M_{ee} above pion mass:
no collectivity exhibited

We've identified a penetrating probe with no boost

Estimating the initial temperature

Direct Photons:

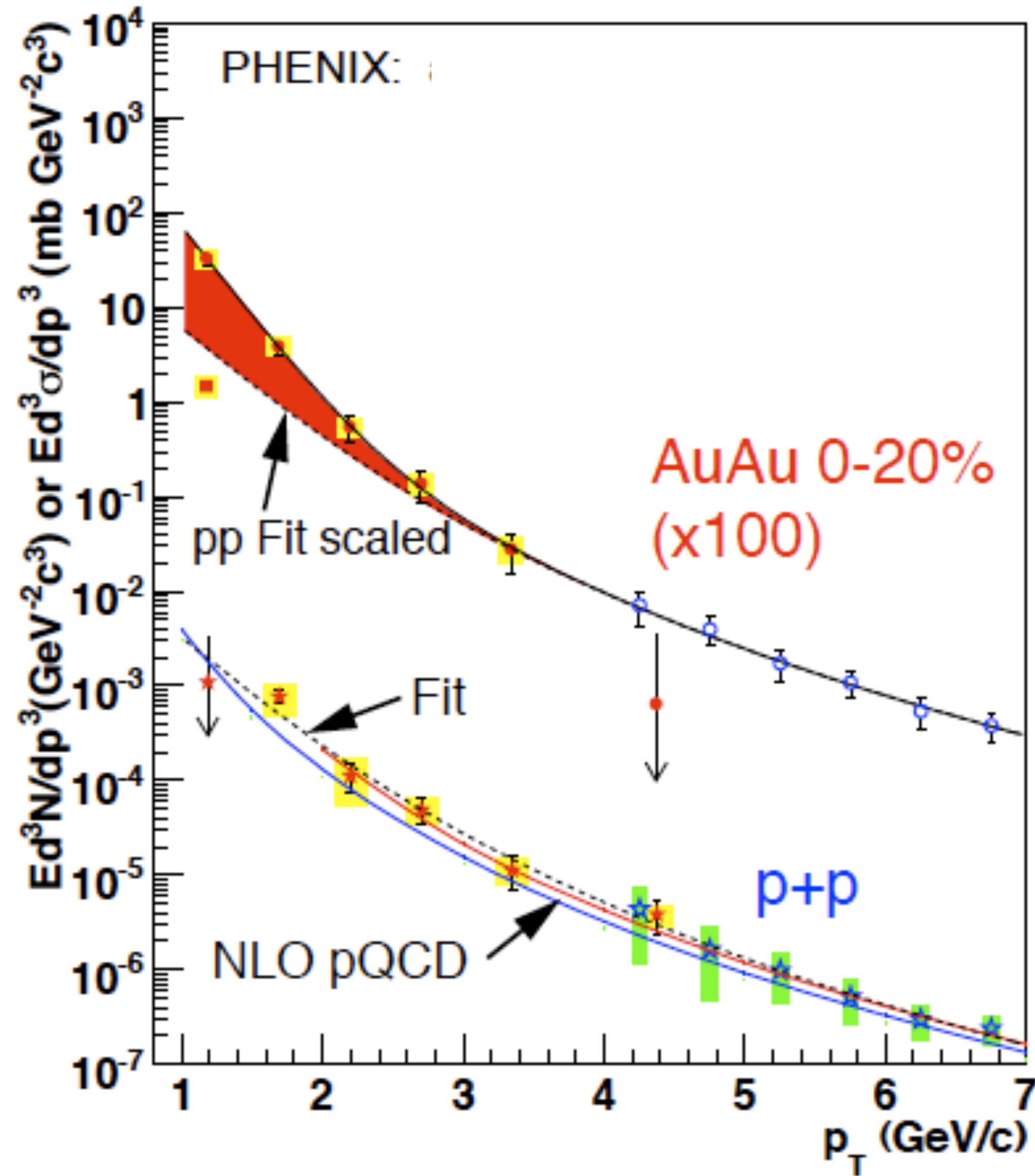
- no charge or color → don't interact with medium
- emitted over all lifetime → convolution of all T



Theory well developed

QGP dominates: $1 < p_T < 3 \text{ GeV}/c$

HIC: surpass critical temperature



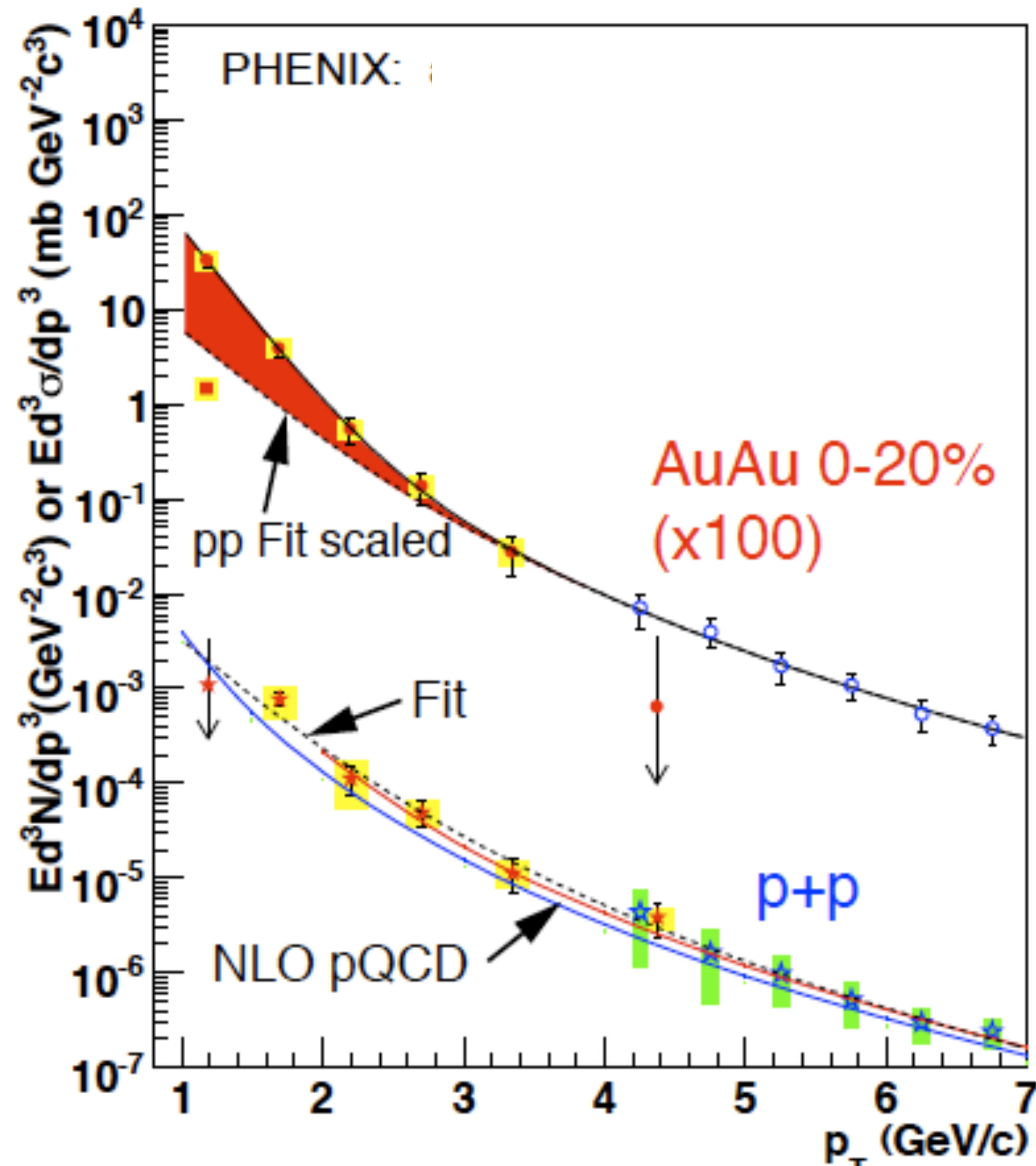
After background subtraction:

Emission rate and shape consistent with that from a hot thermally equilibrated medium

Hydro models fit to data
 $T_{RHIC} = 300 - 600$ MeV
 $> 2 \cdot T_c$
 $\tau = 0.15 - 0.6$ fm/c

Large uncertainty due to correlated pair background i.e. jets

HIC: surpass critical temperature



After background subtraction:

Emission rate and shape consistent with that from a hot thermally equilibrated medium

Hydro models fit to data
 $T_{RHIC} = 300 - 600$ MeV
 $> 2 \cdot T_c$
 $\tau = 0.15 - 0.6$ fm/c

Large uncertainty due to correlated pair background
i.e. jets

Even hotter temperatures extracted at the LHC

Presence of a Critical Point?

Critical Points:

divergence of susceptibilities

e.g. magnetism transitions

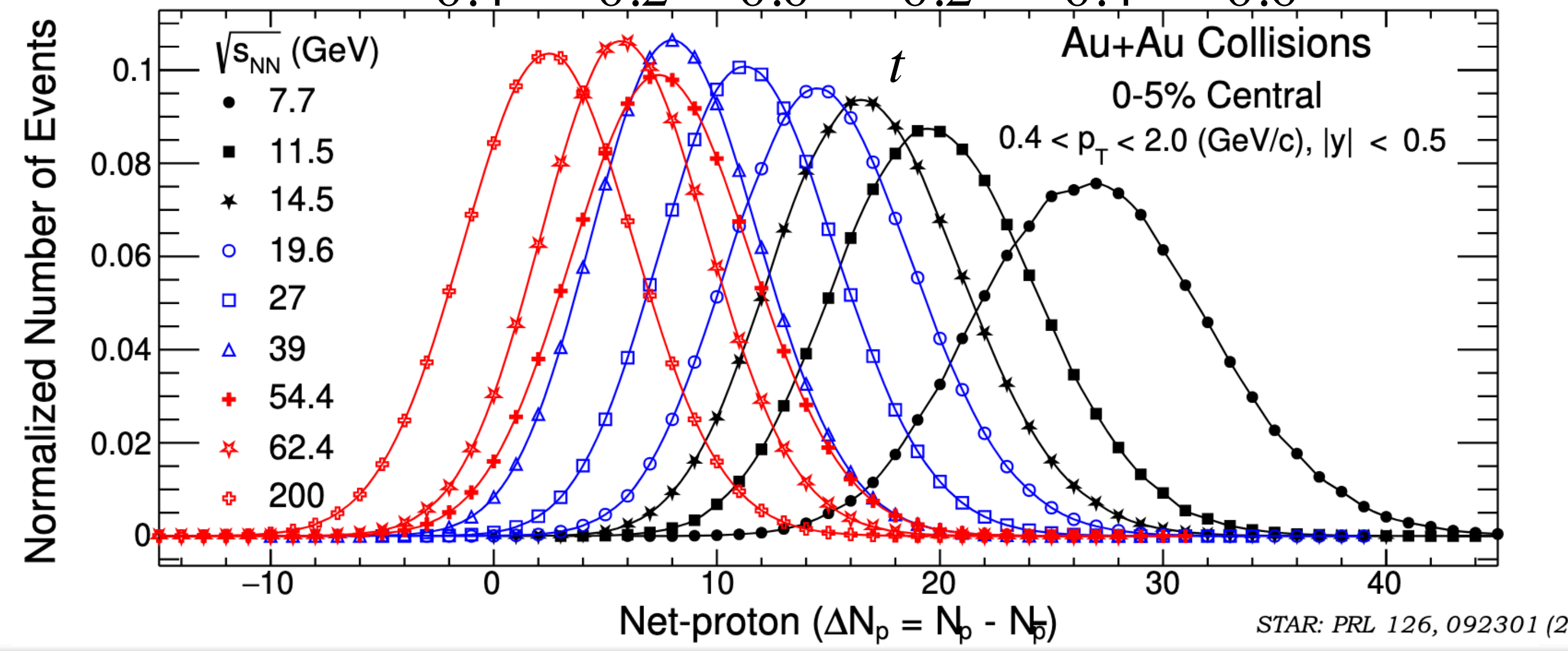
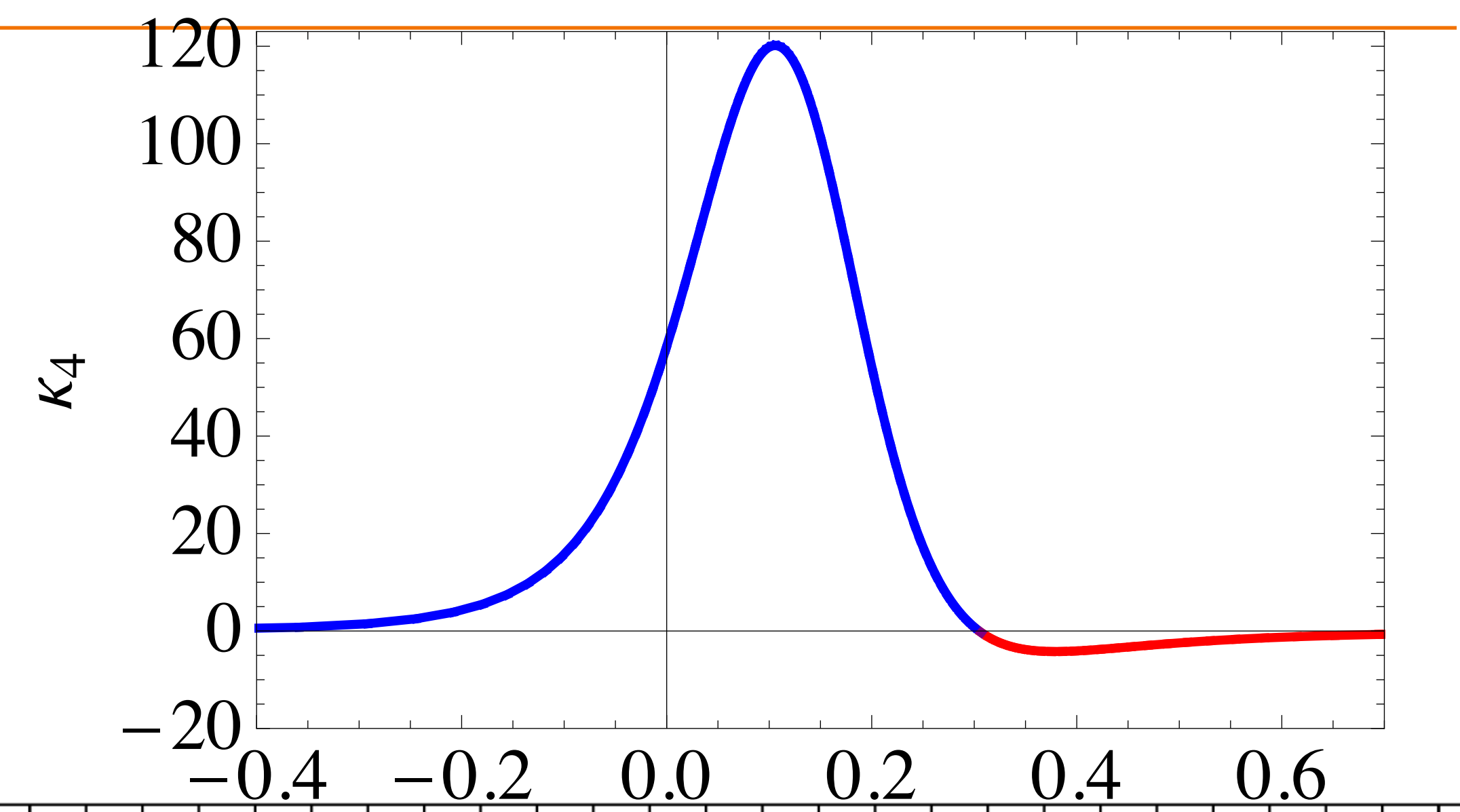
and divergence of correlation lengths

e.g. critical opalescence

In HI:

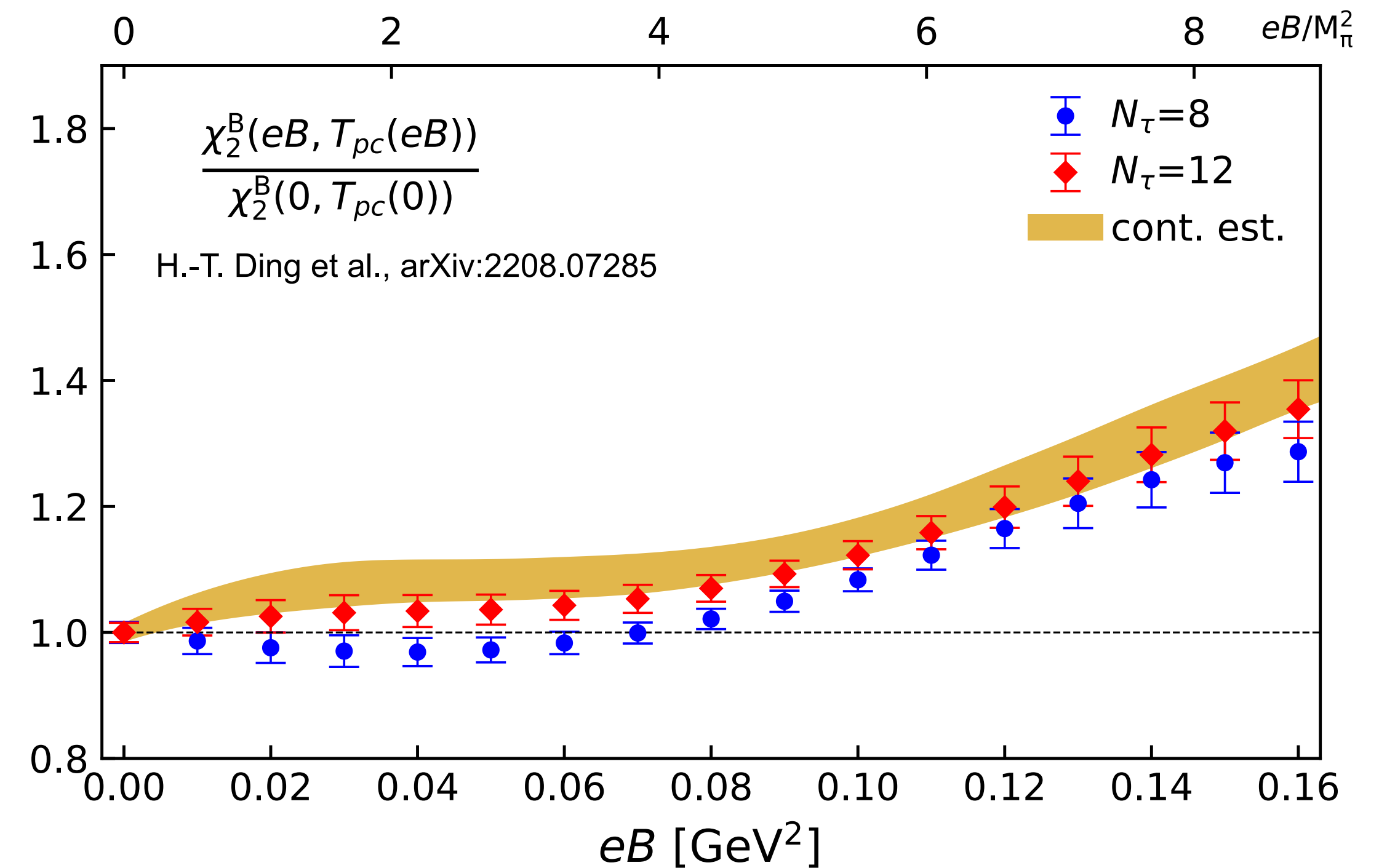
Large event-by-event fluctuations of conserved quantities (Q,B S) as the non-equilibrium correlation length, ξ , diverges

Correlation lengths diverge \rightarrow
Net-p $\kappa\sigma^2$ diverge



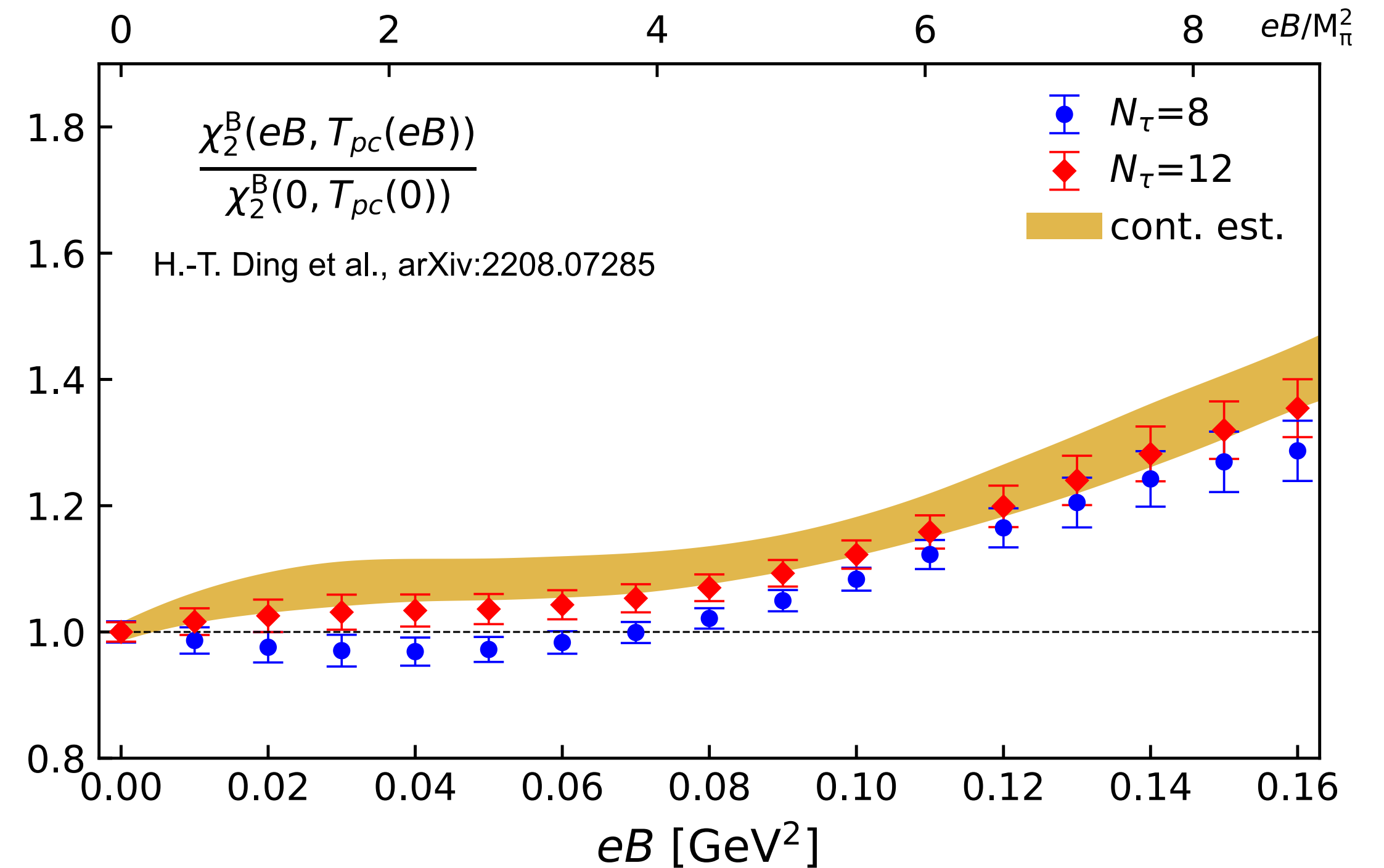
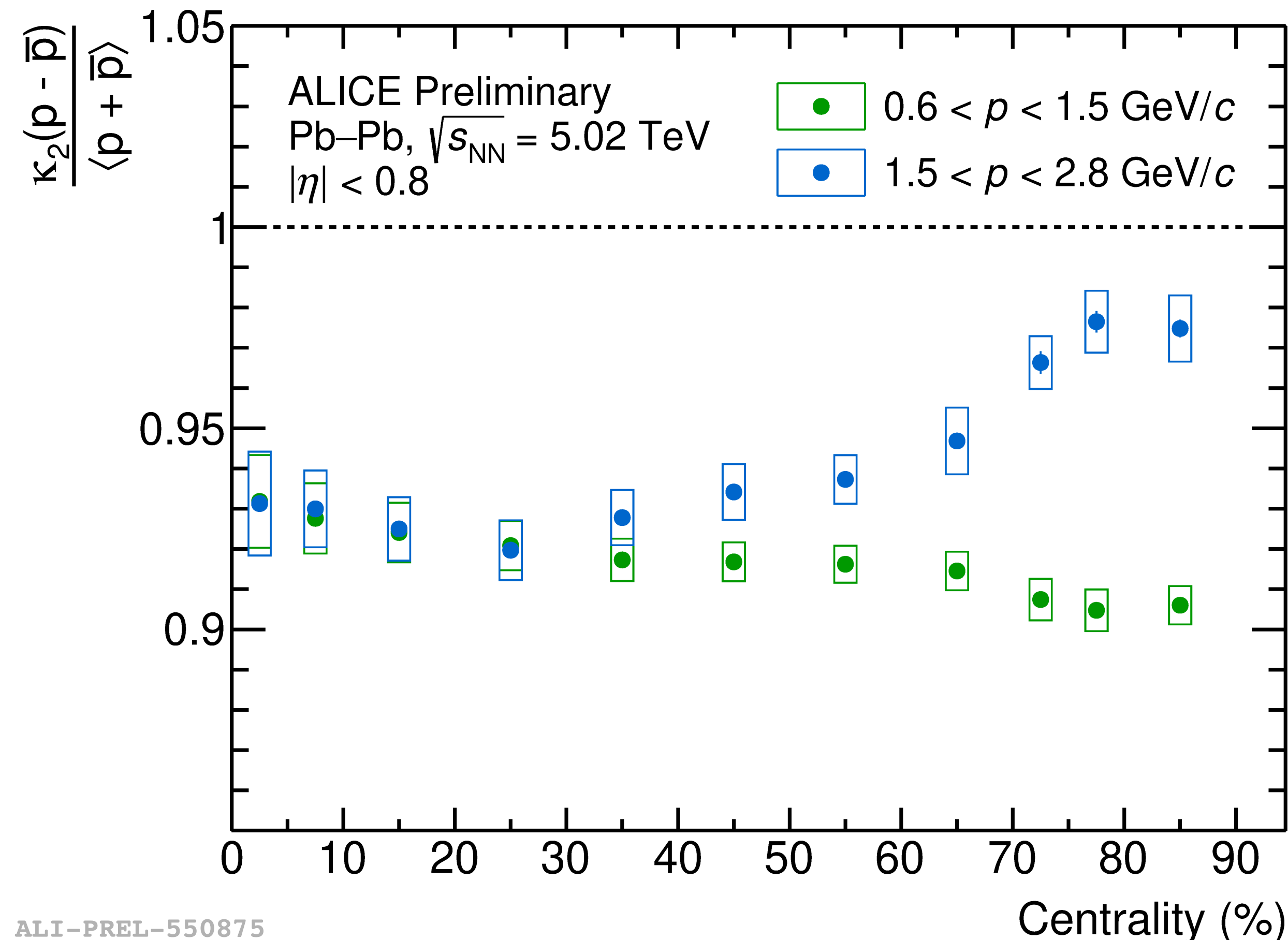
Net-proton cumulants at LHC

Lattice calculations suggest susceptibilities **sensitive to initial EM field**



Net-proton cummulants at LHC

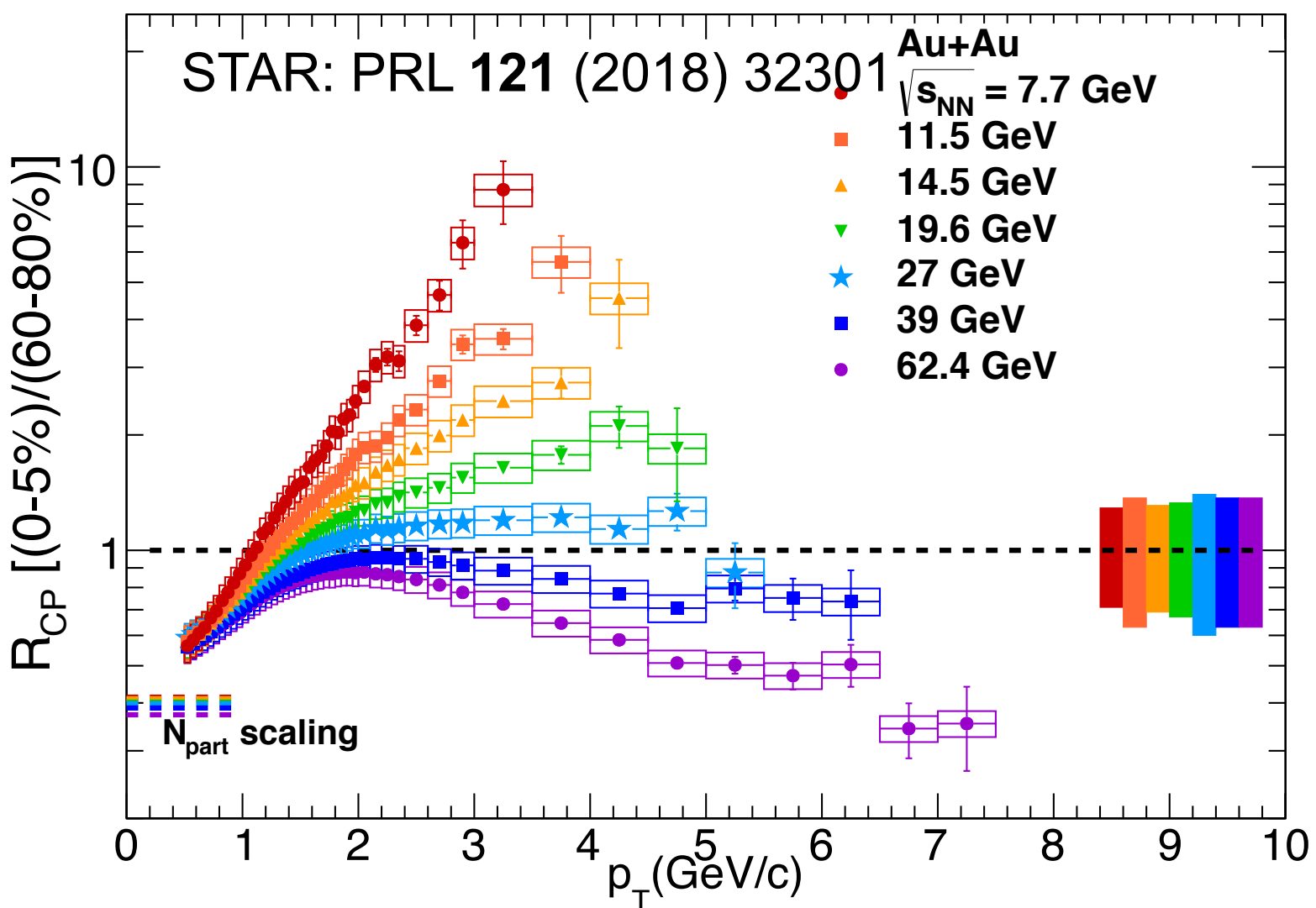
Lattice calculations suggest susceptibilities **sensitive to initial EM field**



First measurement above 2 GeV/c
Fluctuation in high p range increases in peripheral events - B-field largest

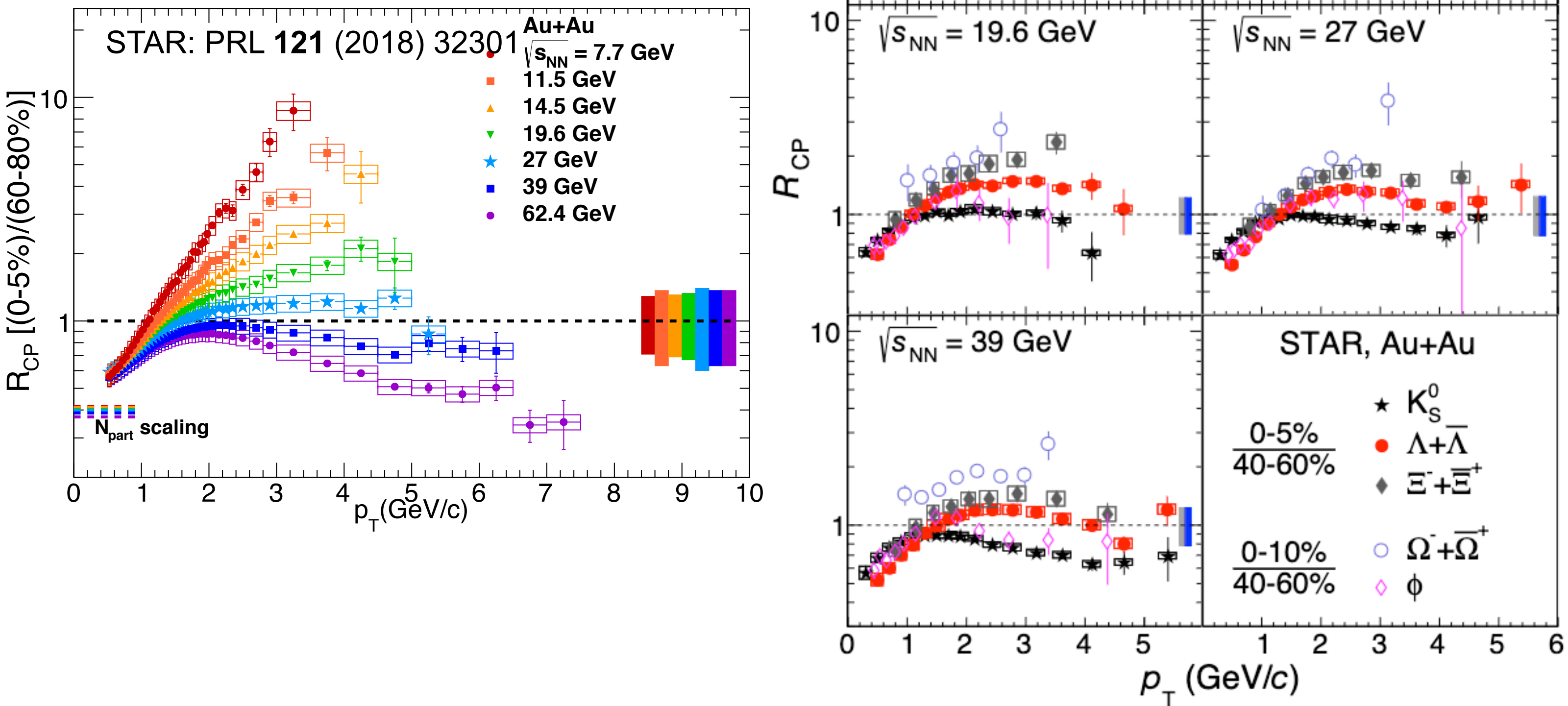
More discussion with theory and measurement in pp needed

Nuclear modification of light species



For $\sqrt{s_{NN}} > 27$ GeV suppression observed

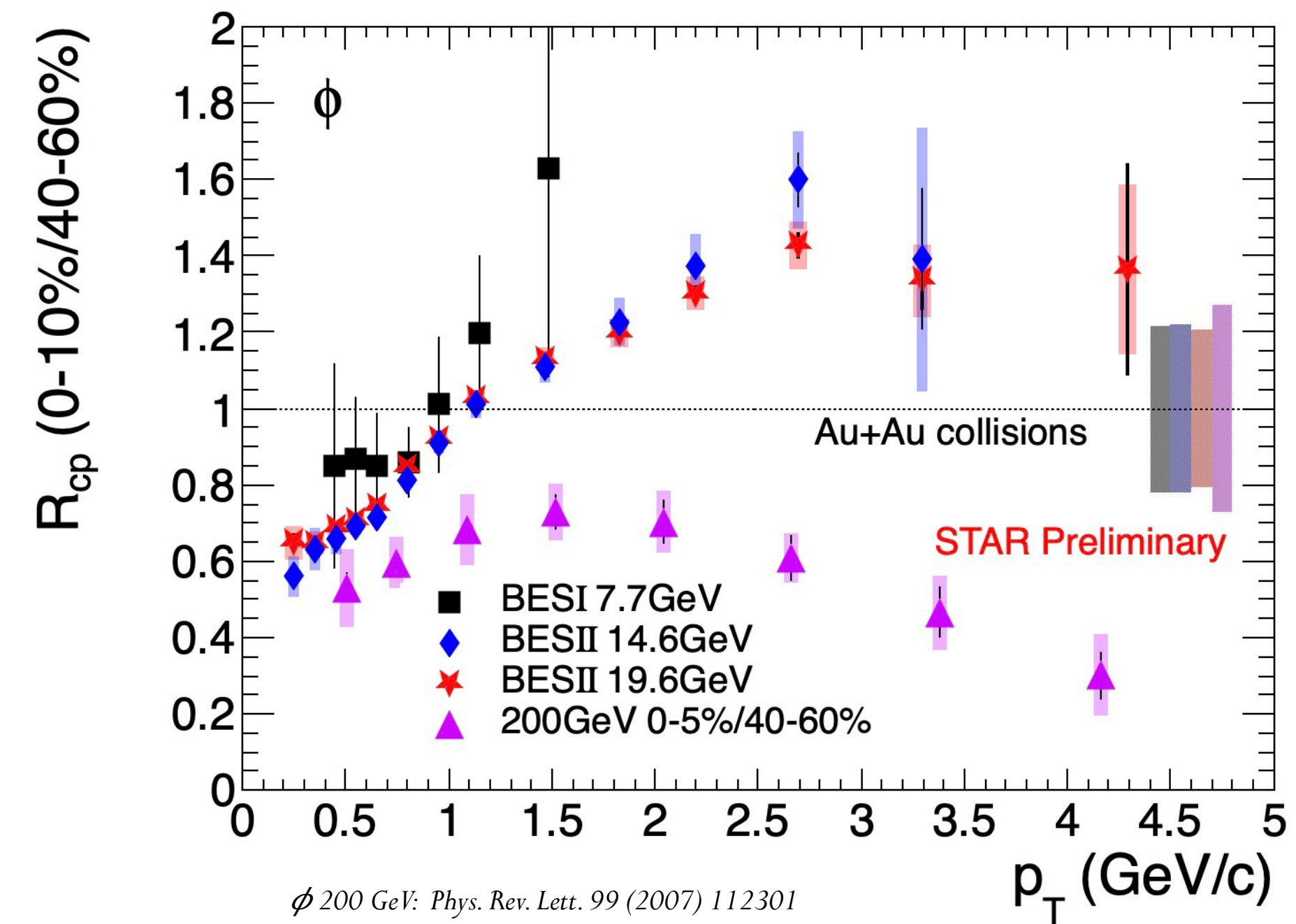
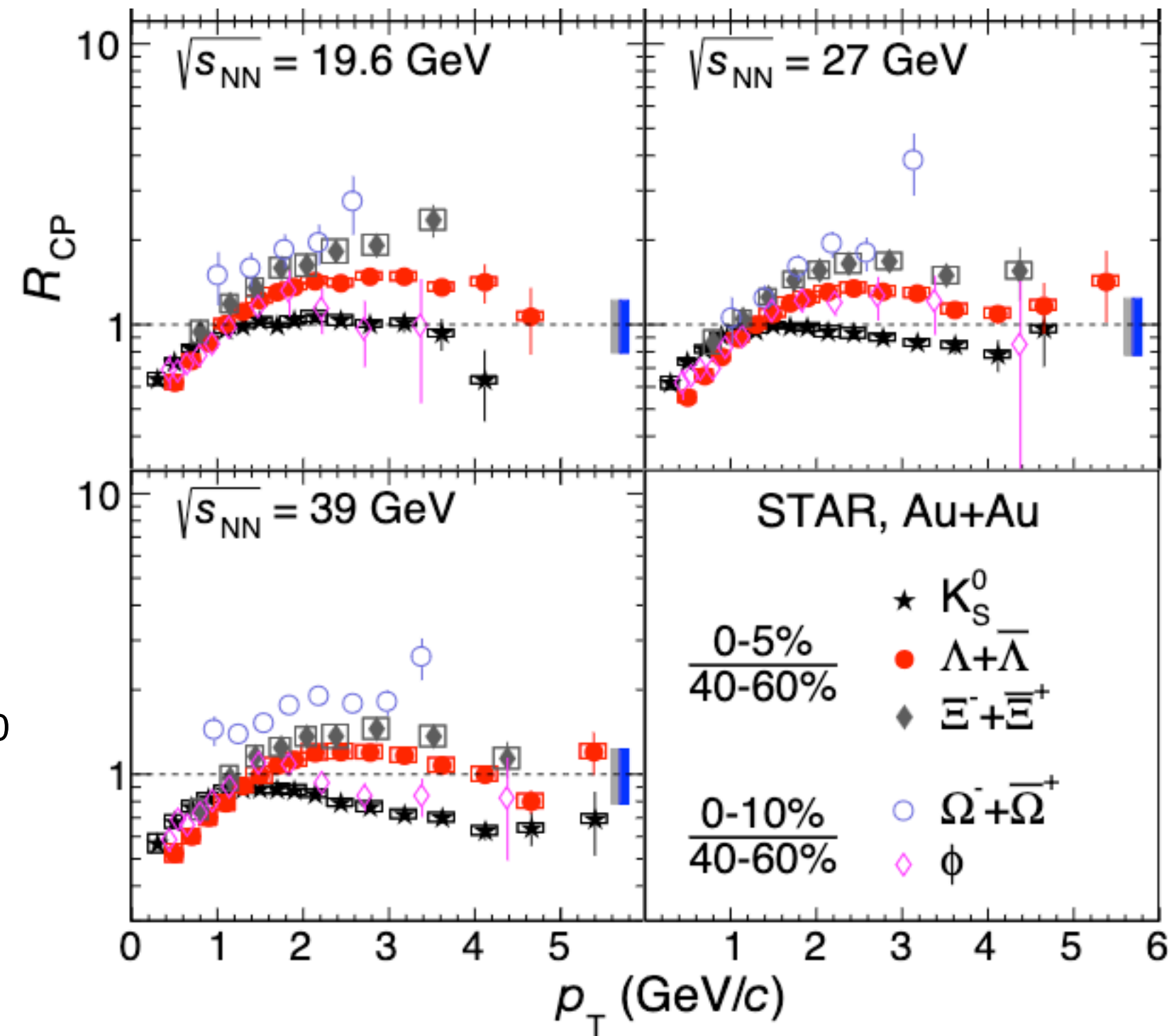
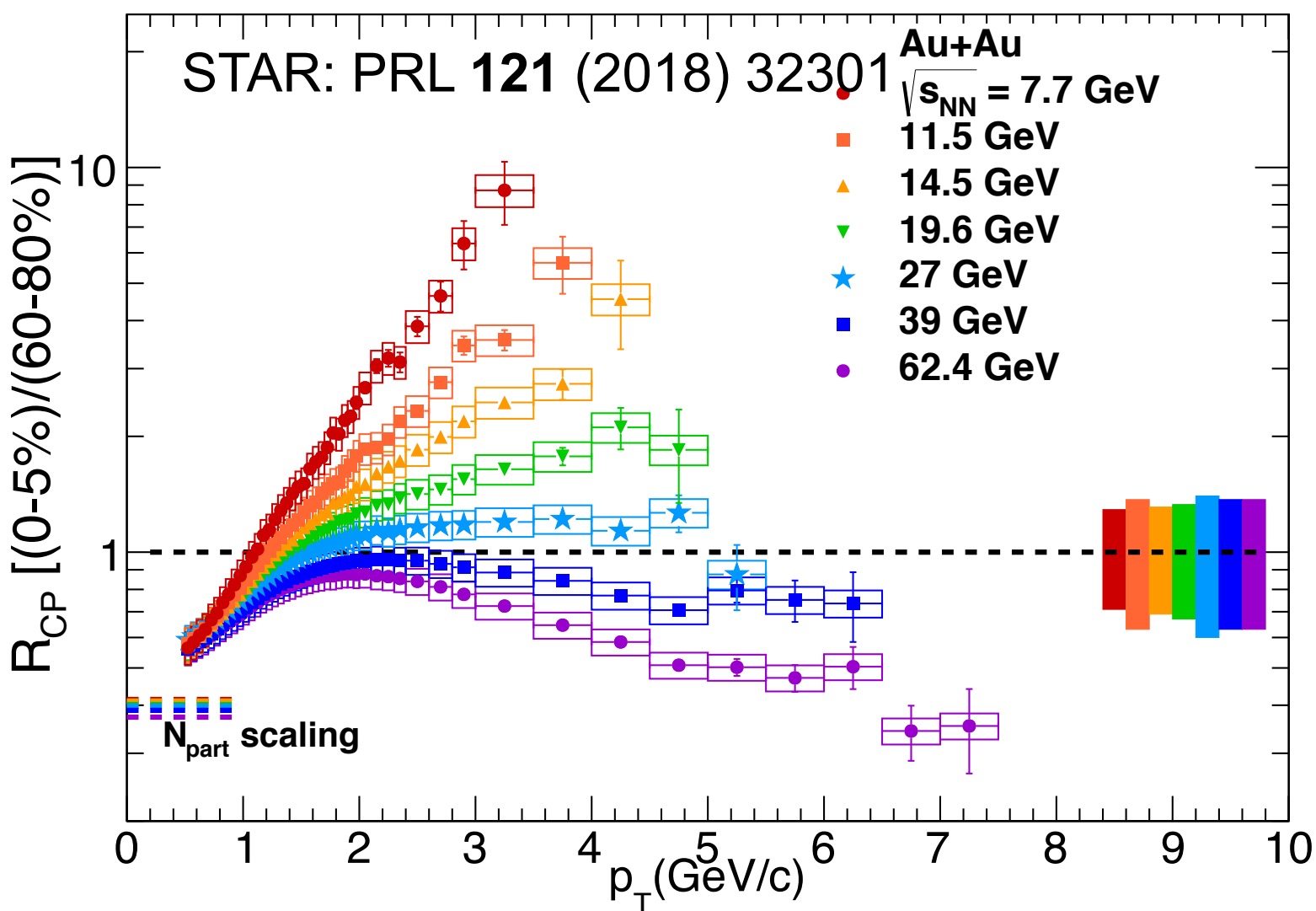
Nuclear modification of light species



For $\sqrt{s_{NN}} > 27$ GeV suppression observed

Differences for baryons and mesons

Nuclear modification of light species



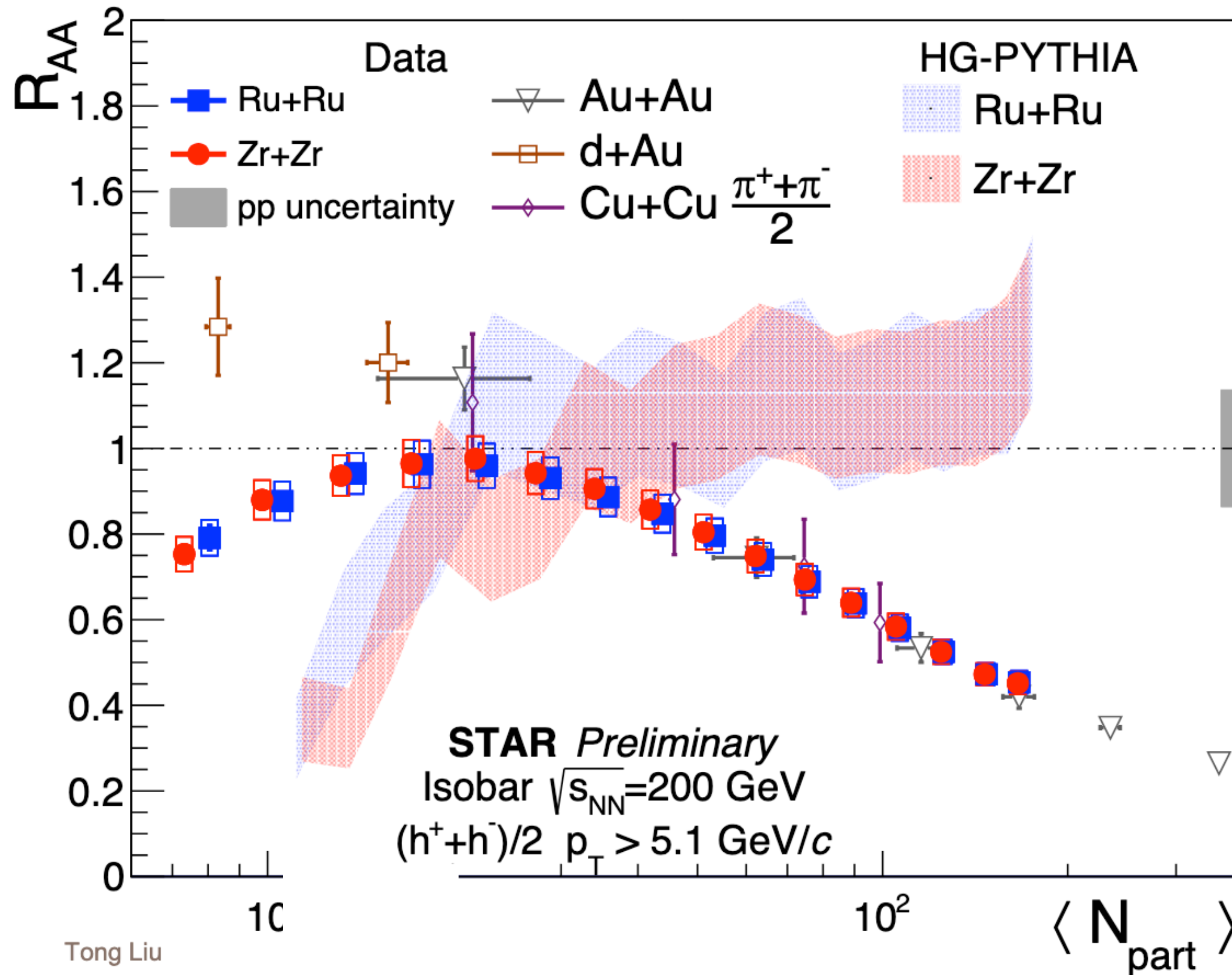
For $\sqrt{s_{NN}} > 27$ GeV suppression observed

Differences for baryons and mesons

New ϕ data indicate mass not baryon/meson effect?

Is flow hiding E_{loss} ?
How to disentangle?

Precision quenching measurements



$$R_{AA}(p_T) = \frac{Yield(A+A)}{Yield(p+p) \times \langle N_{coll} \rangle}$$

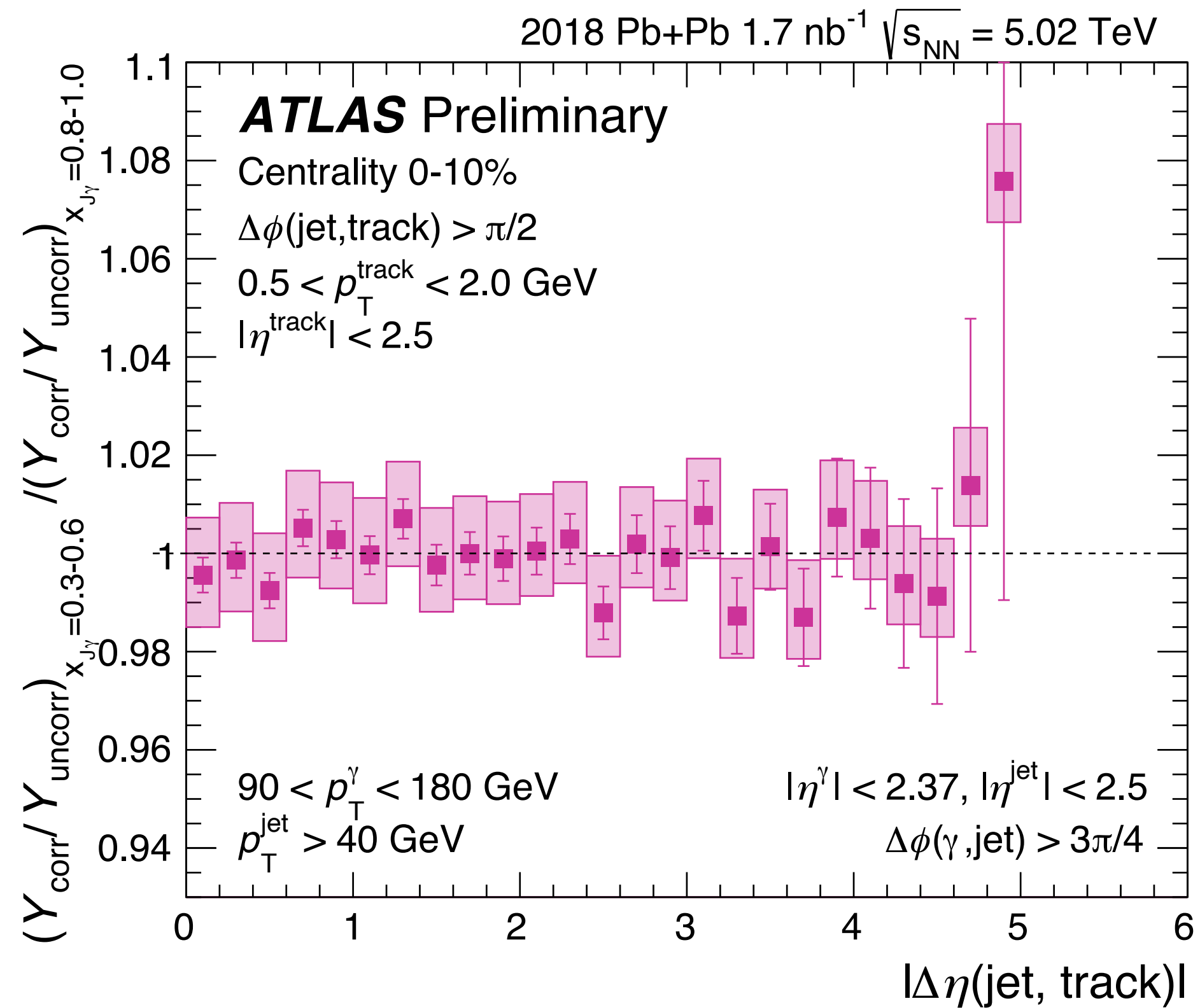
R_{AA} in 0-60% central events
($N_{part} > 20$) decrease with N_{part}

Same R_{AA} at same N_{part} regardless of system

Deviation from trend starting at $N_{part} \approx 20$
 Event selection bias in peripheral events causes artificial suppression?
 - HG-PYTHIA qualitatively gets trend but predicts steeper drop

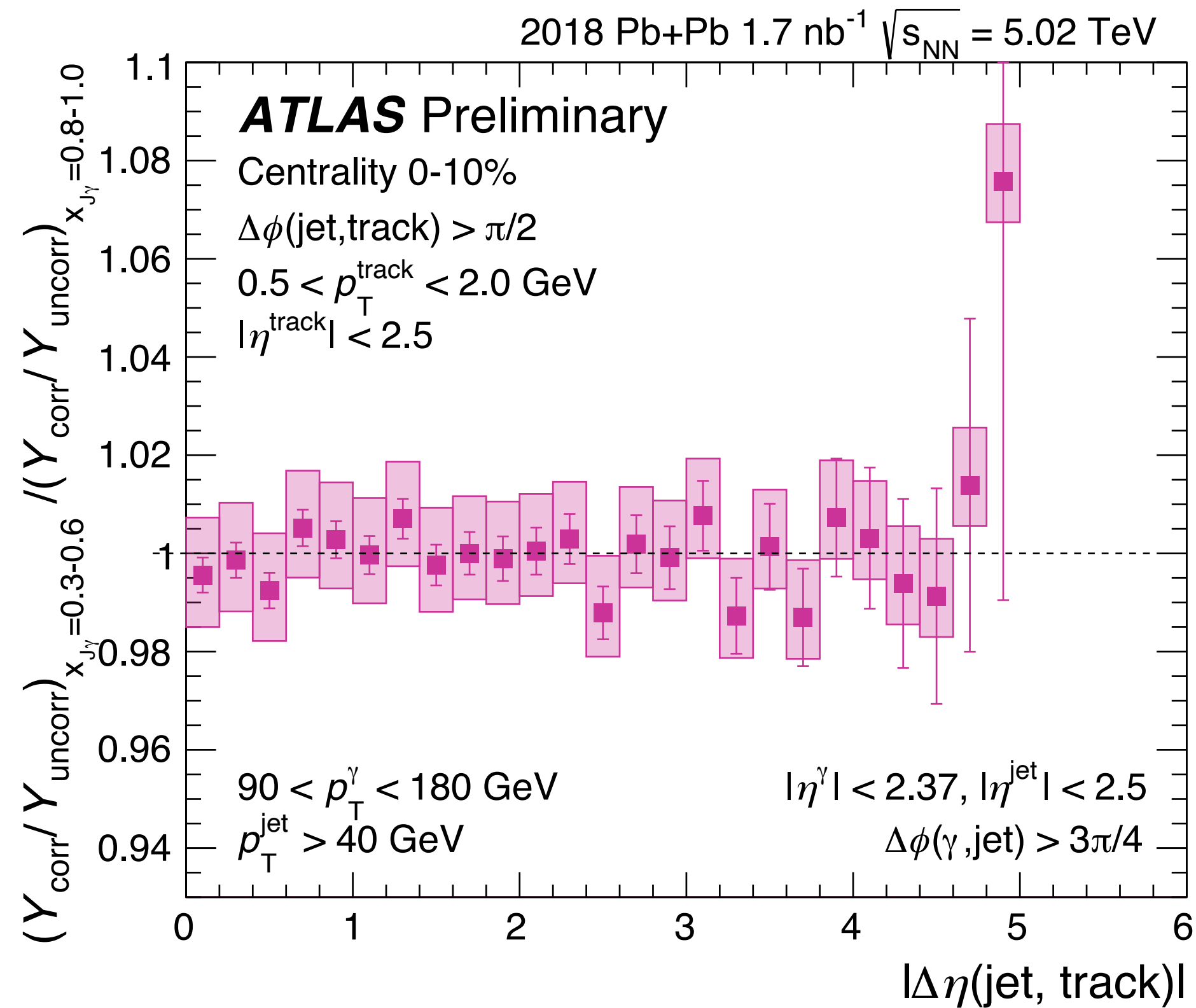
Jet quenching linear with $\log(N_{part})$

Diffusion Wake or Not?



- Lost jet energy generates diffusion wake
- > Depleted particle production in γ direction
- > Wake larger when x_J smaller
- At 95% CL wake < 0.8% perturbation of bulk
- (note CoLBT predicts 0.2%)

Diffusion Wake or Not?



Lost jet energy generates diffusion wake

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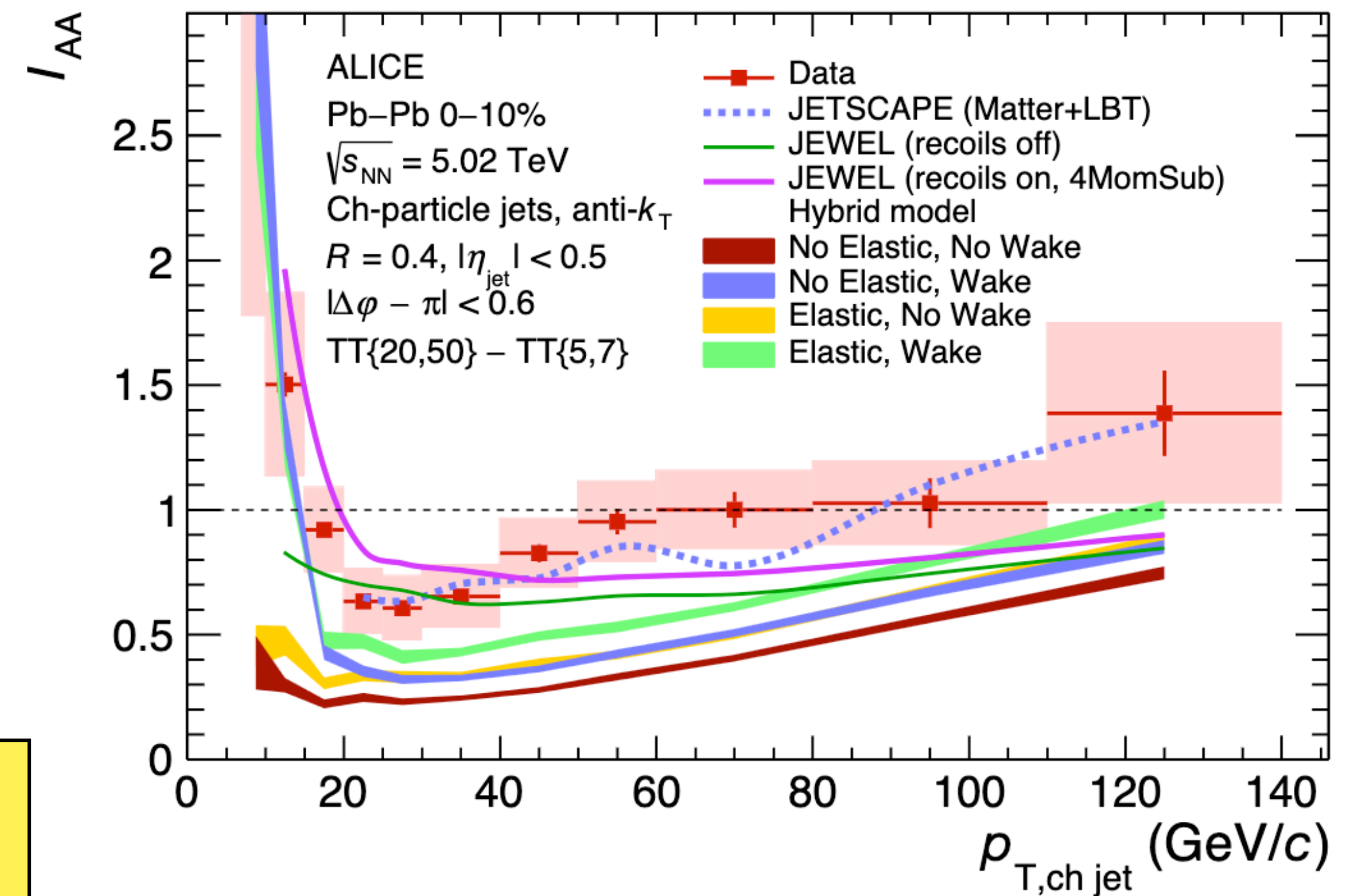
—> Wake larger when x_J smaller

At 95% CL wake < 0.8% perturbation of bulk

(note CoLBT predicts 0.2%)

Jets recoiling off of a high p_T trigger hadron

Shape of I_{AA} best reproduced when wake included
 Shape not sensitive to Moliere/elastic scattering

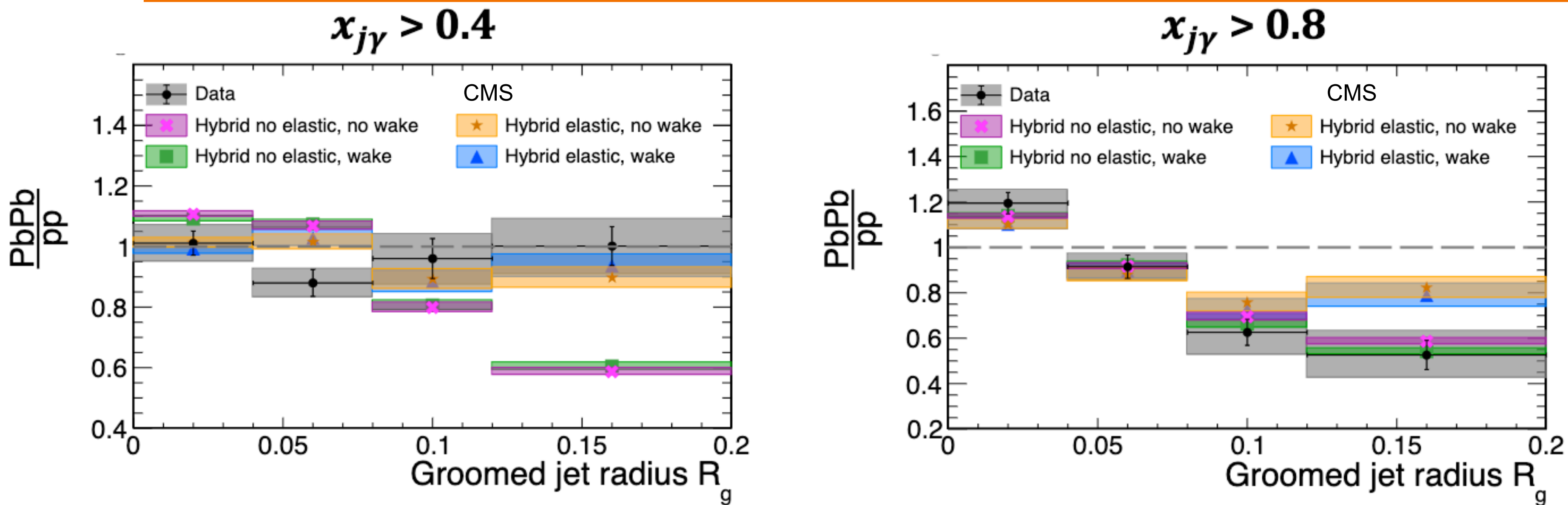


Different sensitivities?

Proposal better to look at groomed substructure?

What is wake and what's soft gluon emission

Selection Bias Rather Than Decoherence?

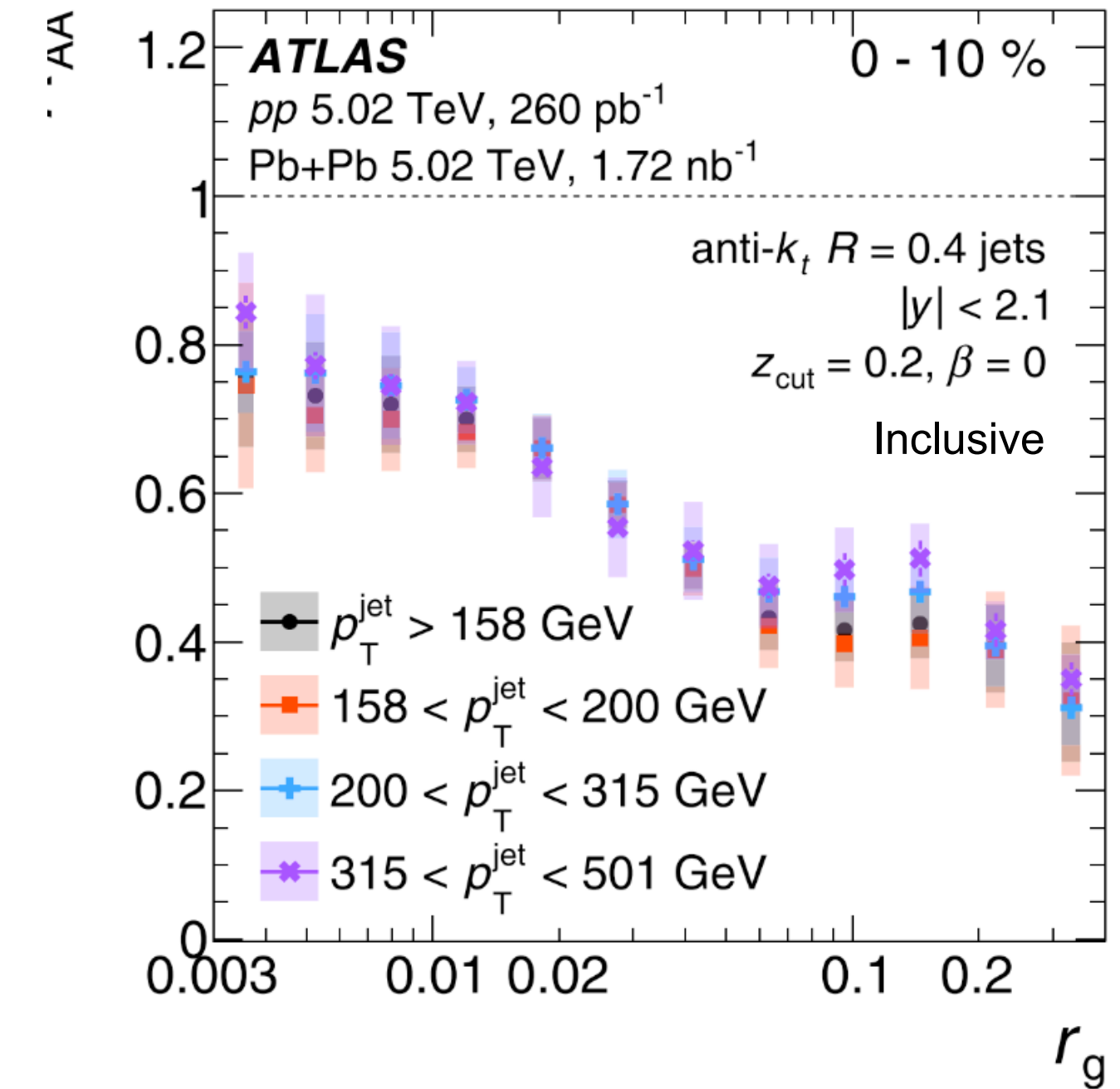
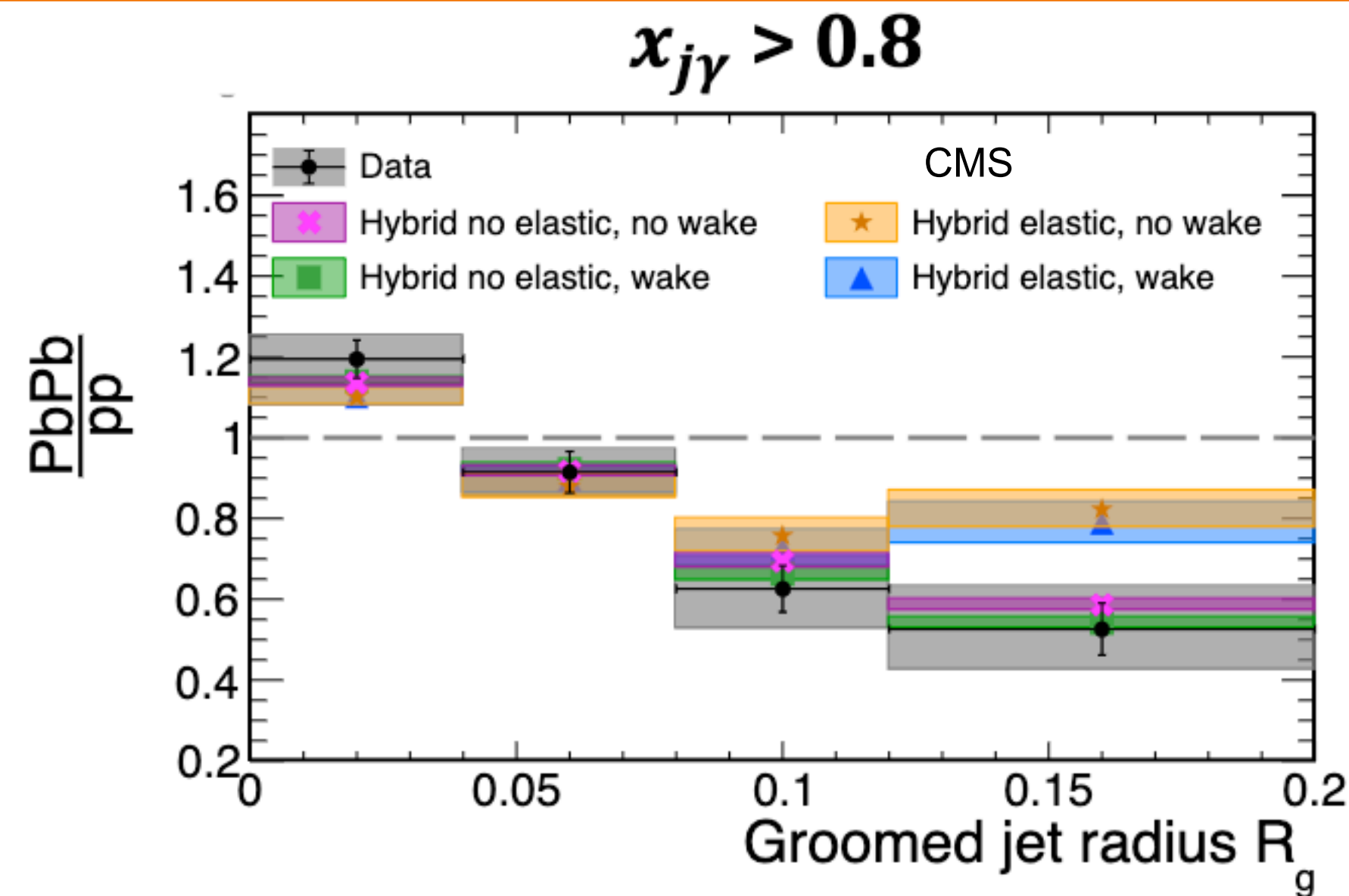
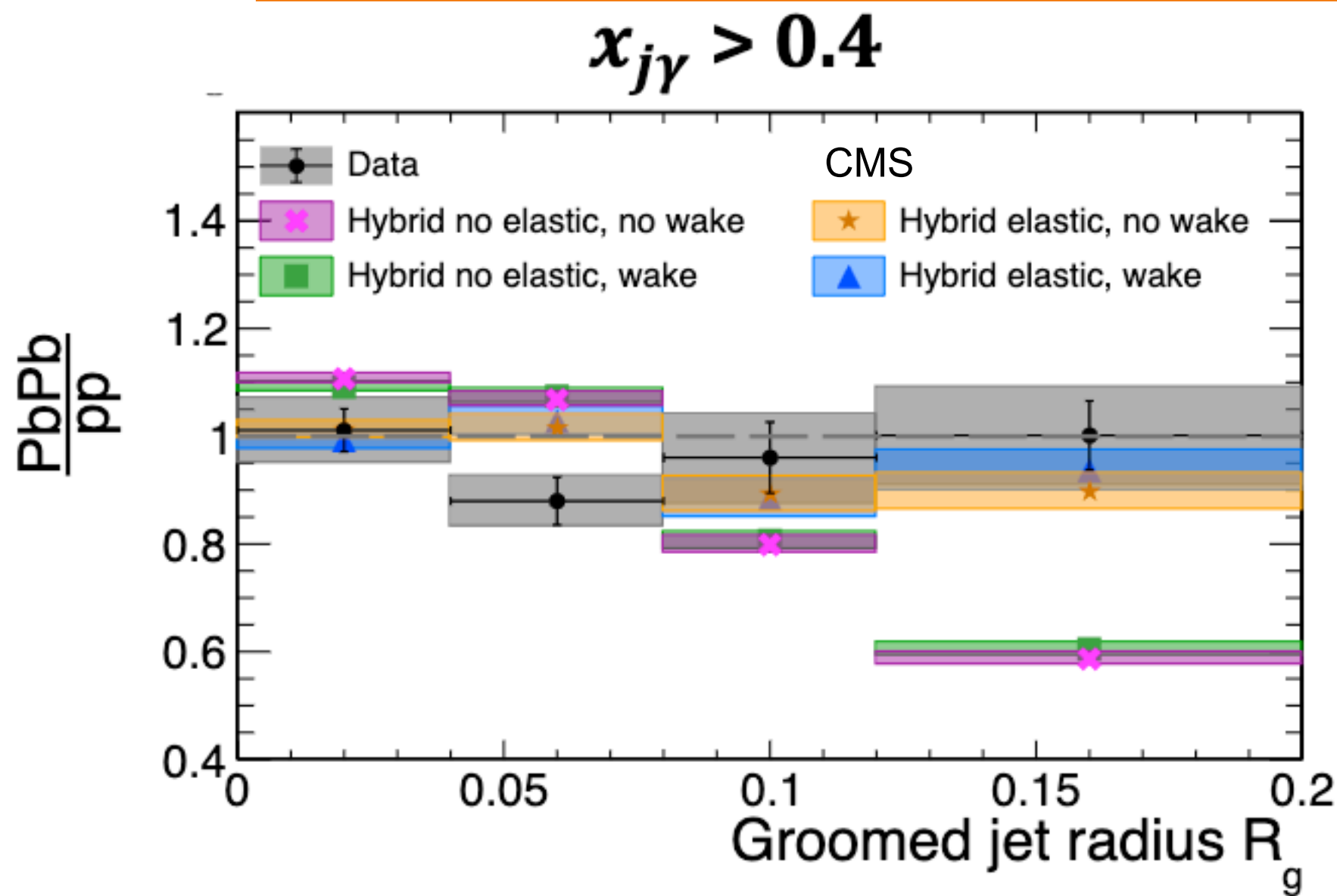


γ -jet: Use photon to select initial not quenched energy

“All” x_J : No biasing on amount of E_{Loss} , no R_g dependence in PbPb/pp ratio

Balanced x_J : Bias towards jets with $E_{Loss}=0$, wide R_g jets disfavored

Selection Bias Rather Than Decoherence?



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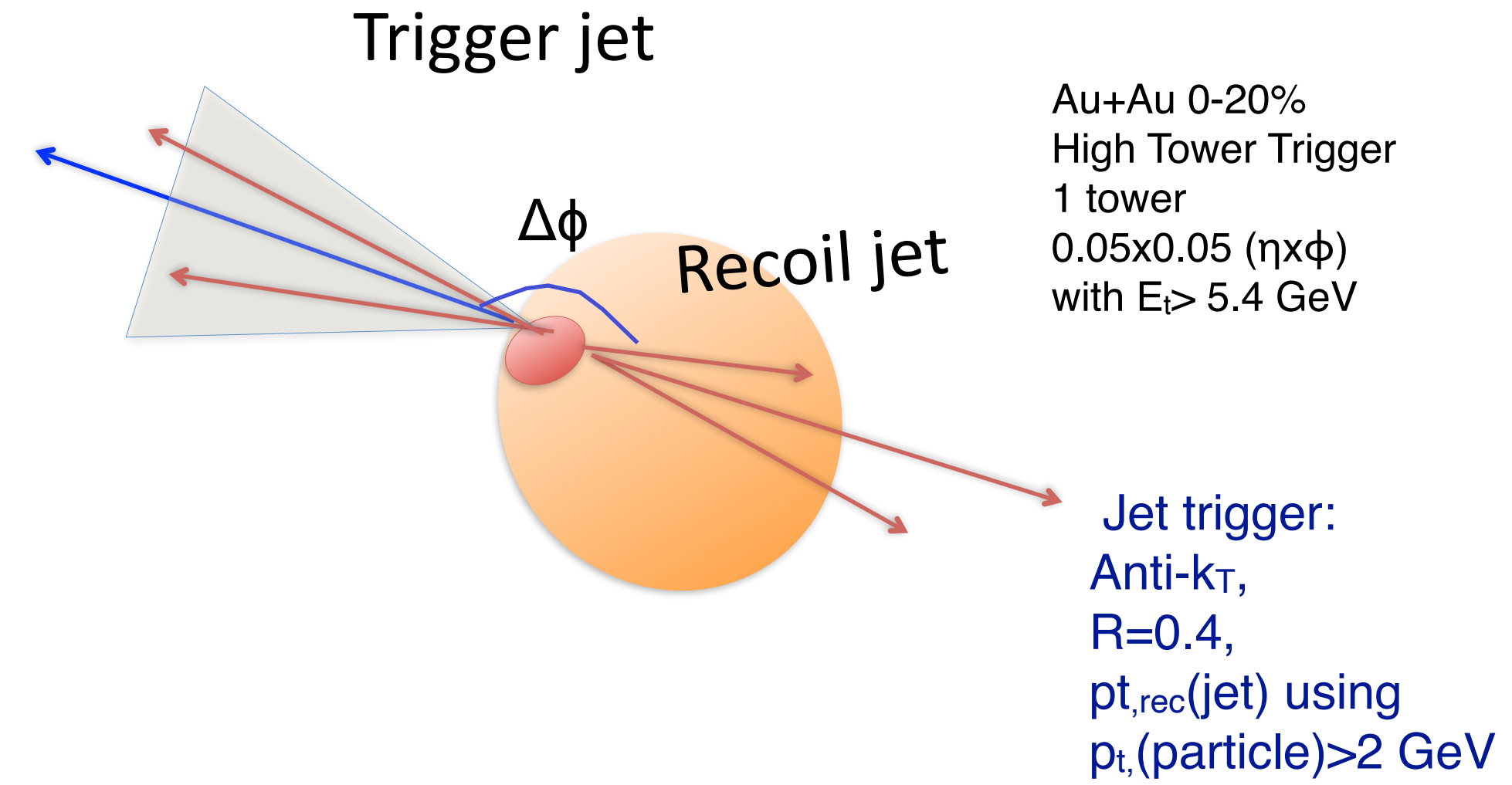
Balanced x_J : Bias towards jets with $E_{\text{Loss}}=0$, wide R_g jets disfavored

Inclusive: select via jet p_T after quenching

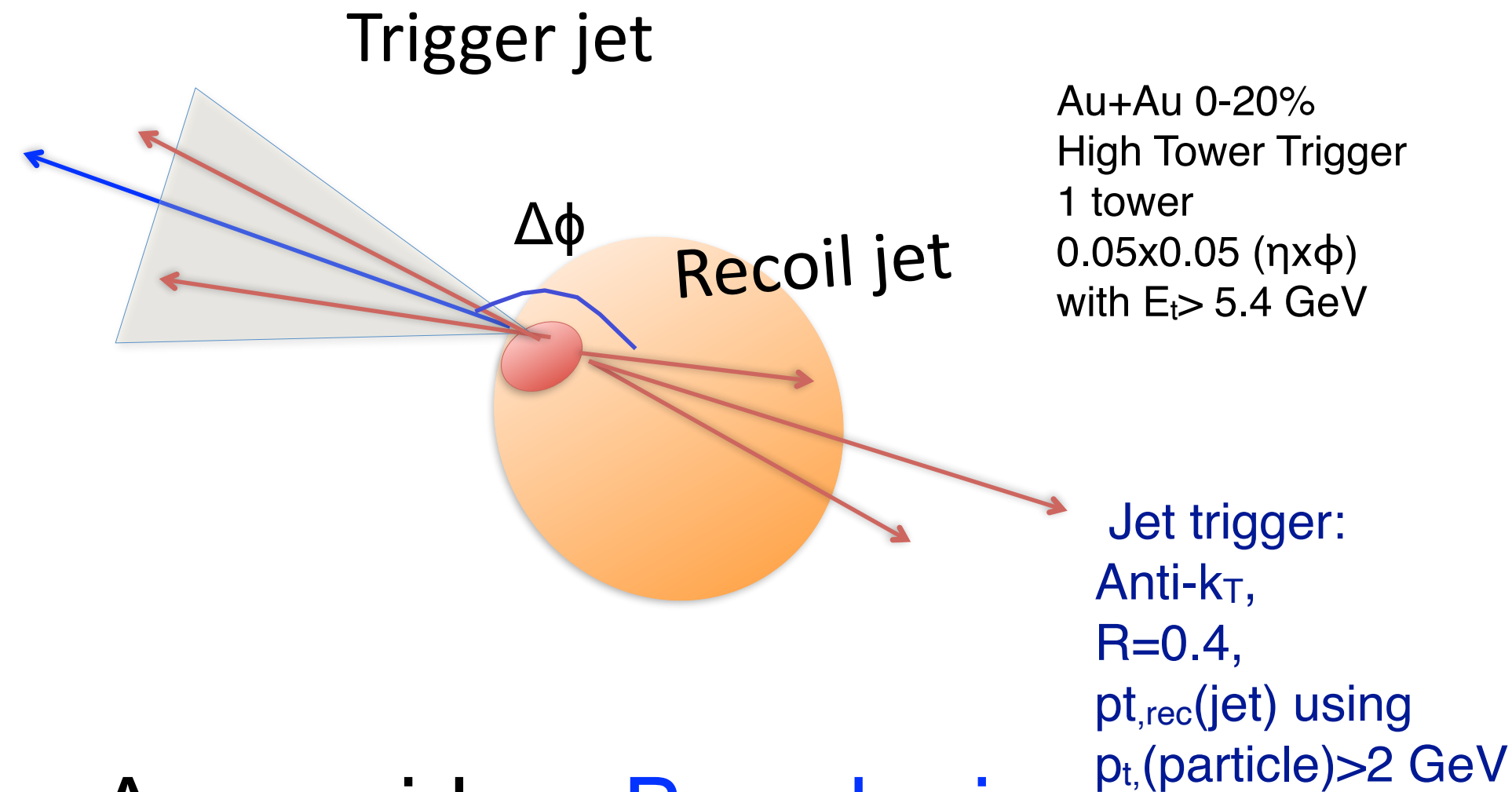
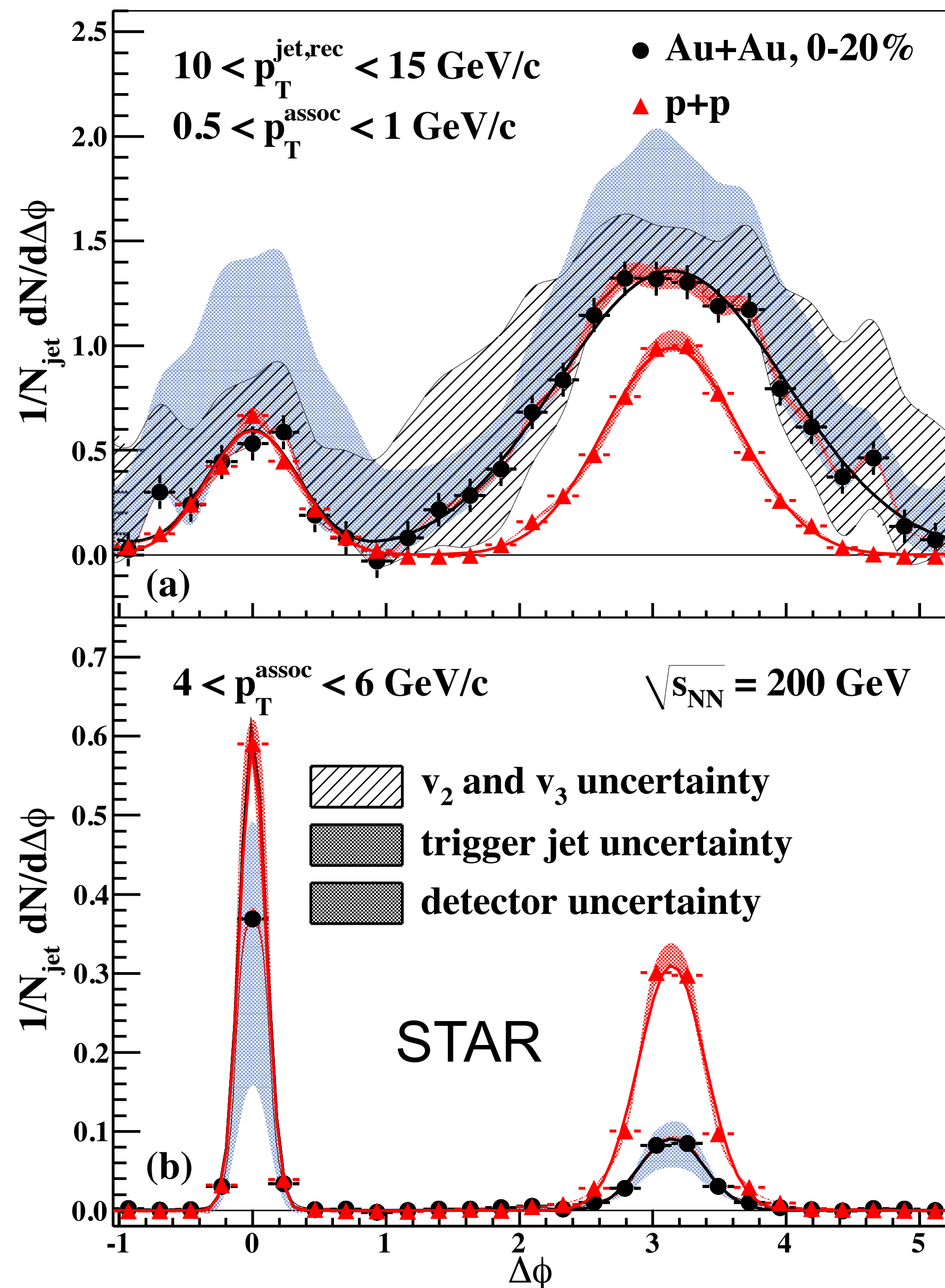
Inclusive jet: wide R_g jets disfavored. E_{Loss} higher so shifted to lower jet p_T

Now we know there is a bias, can we use it to our favor as has been done at RHIC?

Where does lost energy go?



Where does lost energy go?



Away-side: **Broadening**
Softening

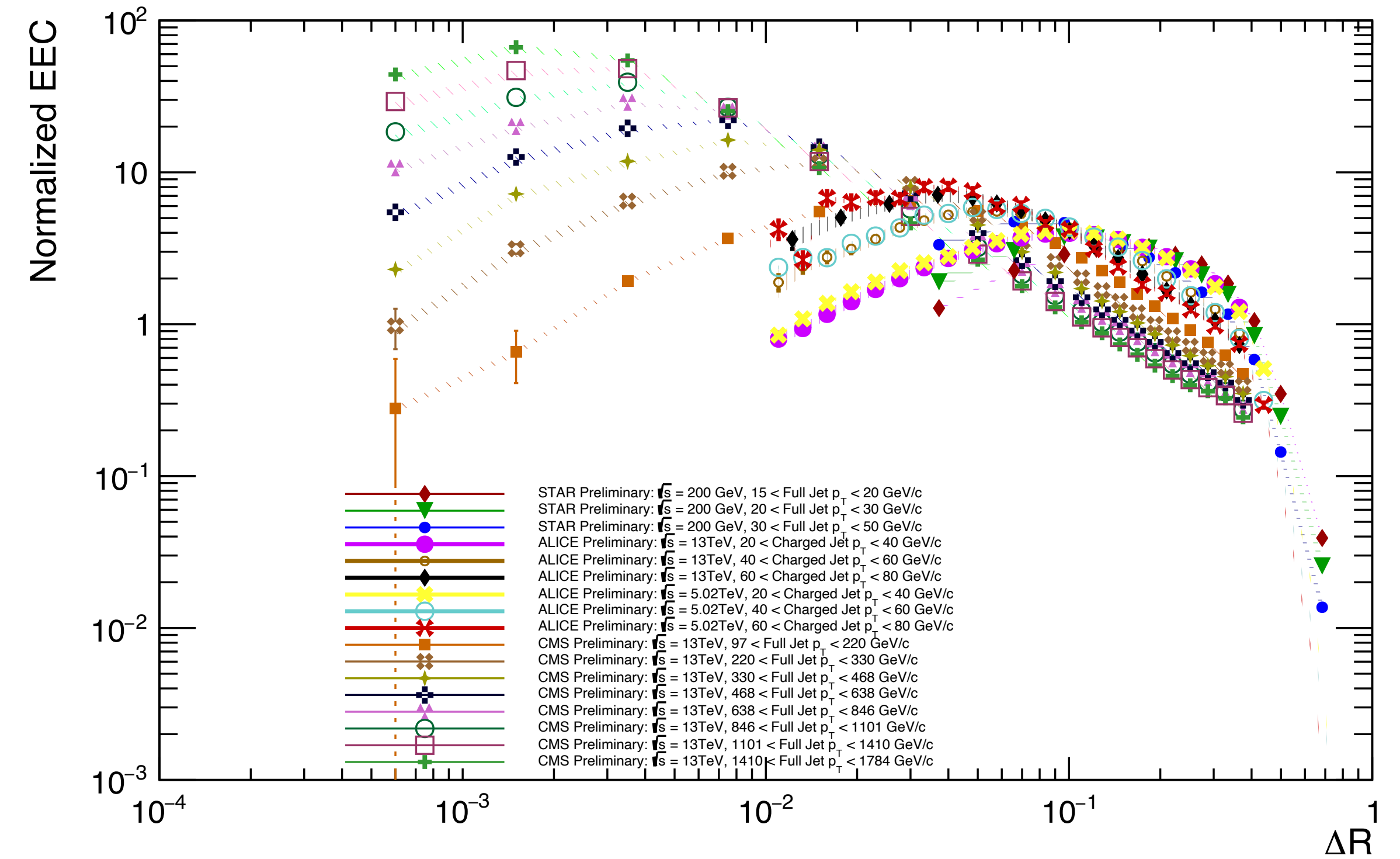
E remains correlated to jet axis but at large angles

Direct measurement of modified fragmentation due to presence of QGP

Probing energy flow in jets

N-point Energy Correlators

Perturbative region grows as jet p_T increases

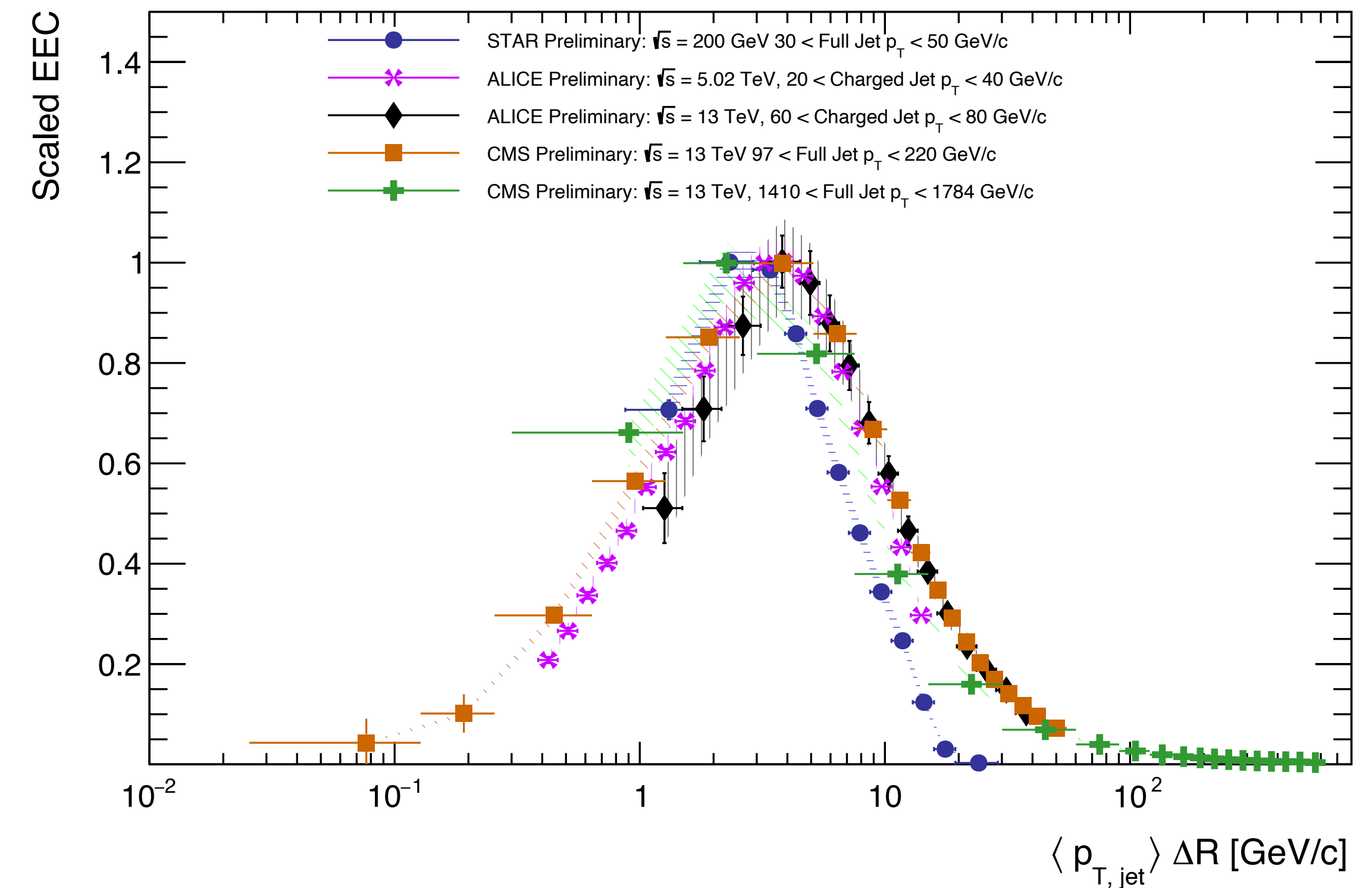


Probing energy flow in jets

N-point Energy Correlators

Perturbative region grows as jet p_T increases

Scaling by jet p_T : universal transition point
- HF jets' transition point affected deadcone



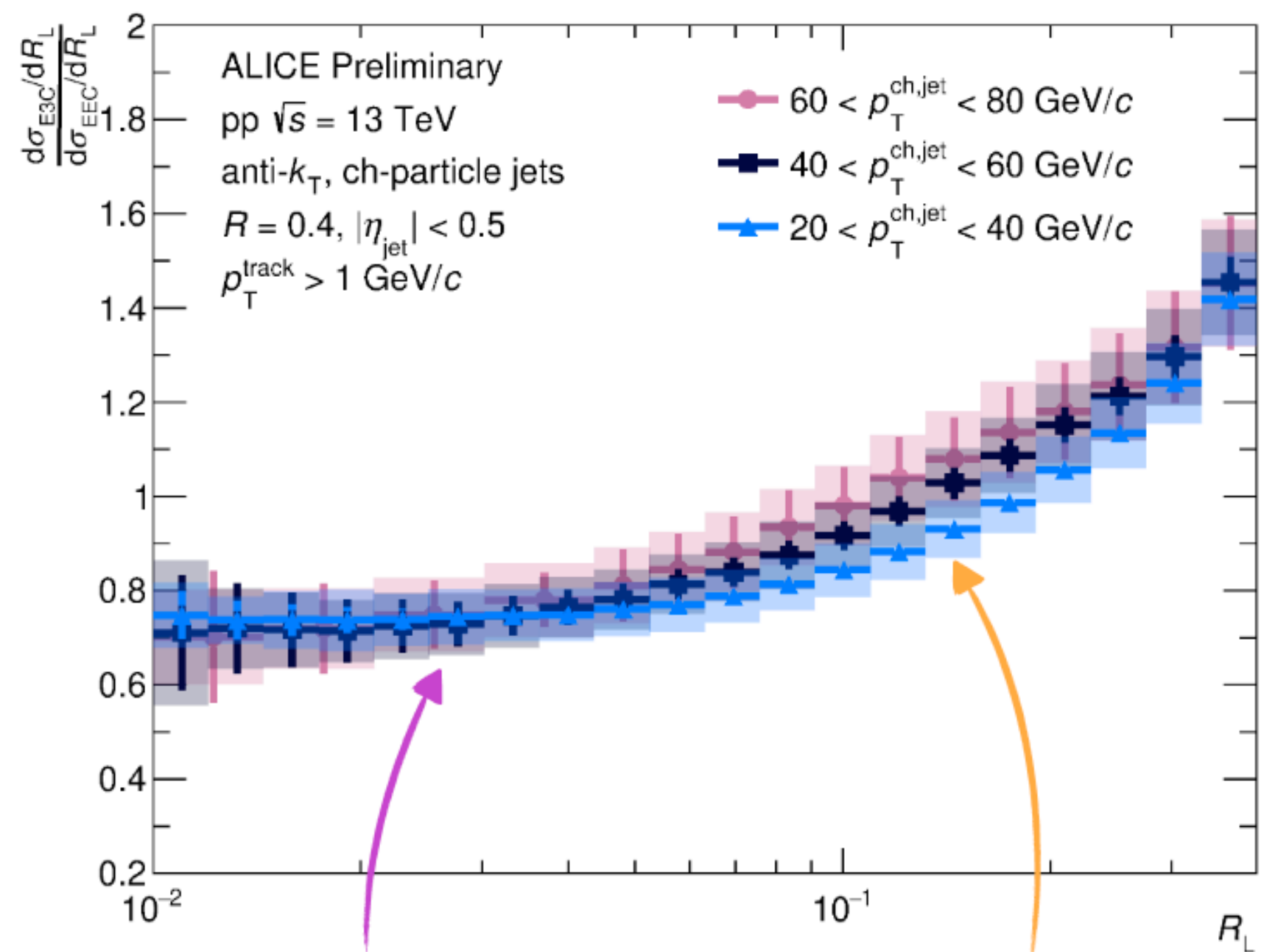
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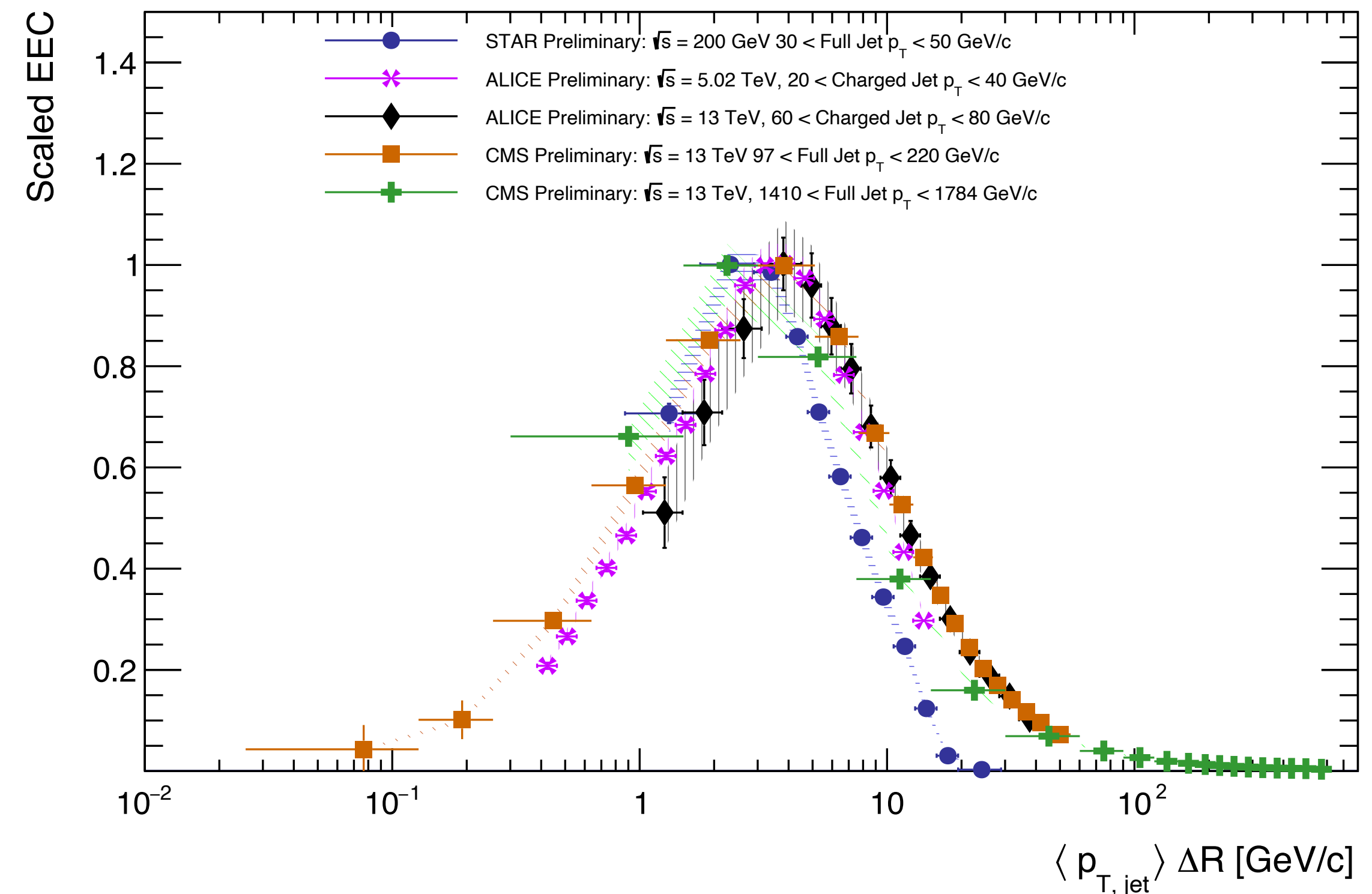
Scaling by jet p_T : universal transition point

- HF jets' transition point affected deadcone



Free hadron
scaling region

Perturbative
scaling region



Ratio of 3-point/2-point correlators:

Decrease in slope at large ΔR with increasing jet p_T
 consistent with running of α_s

ENC behavior understood in vacuum from 15 -1784 GeV

Sensitivity to medium effects

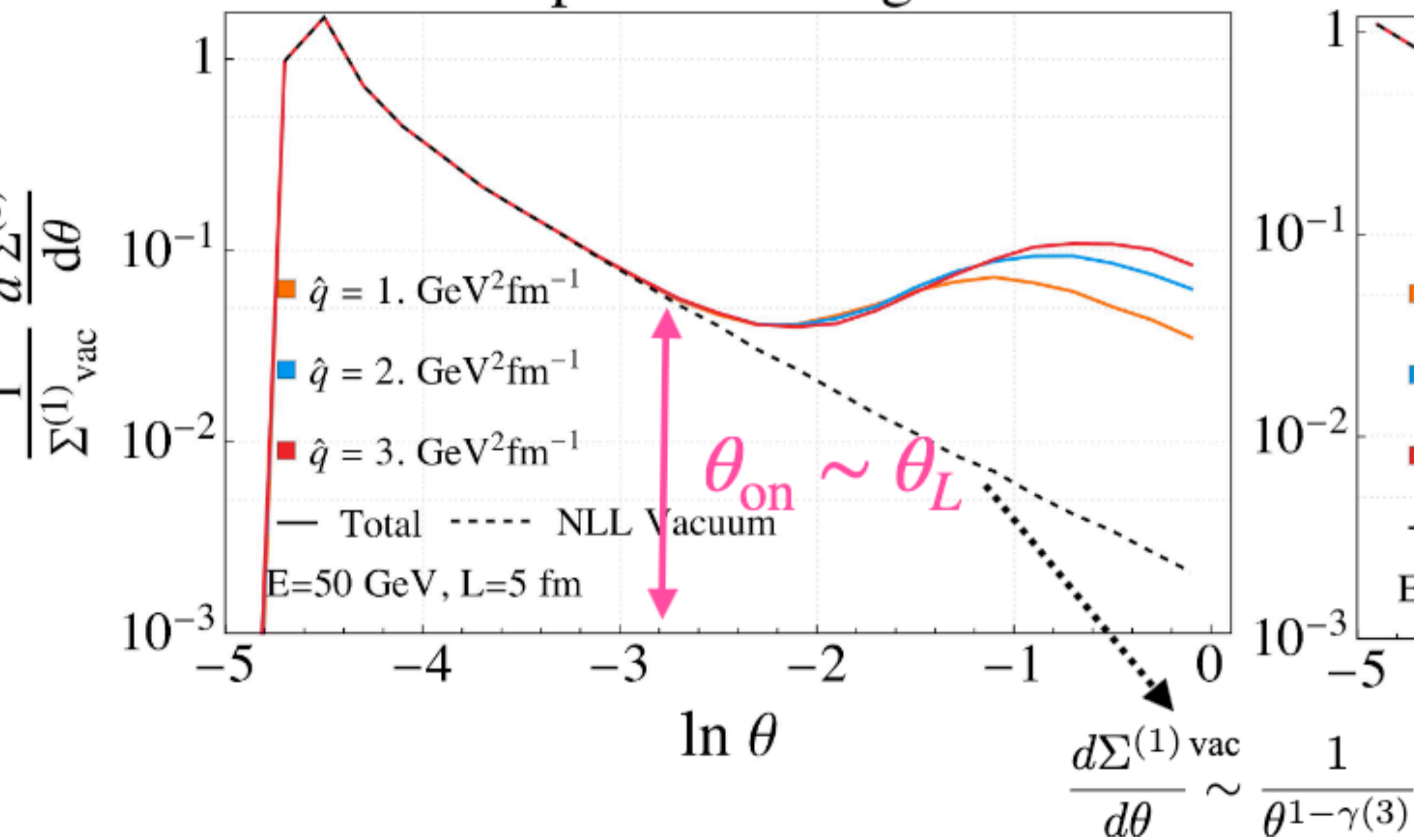
First study using static toy model and no background

θ_c - decoherence angle, θ_L - where formation time longer than L

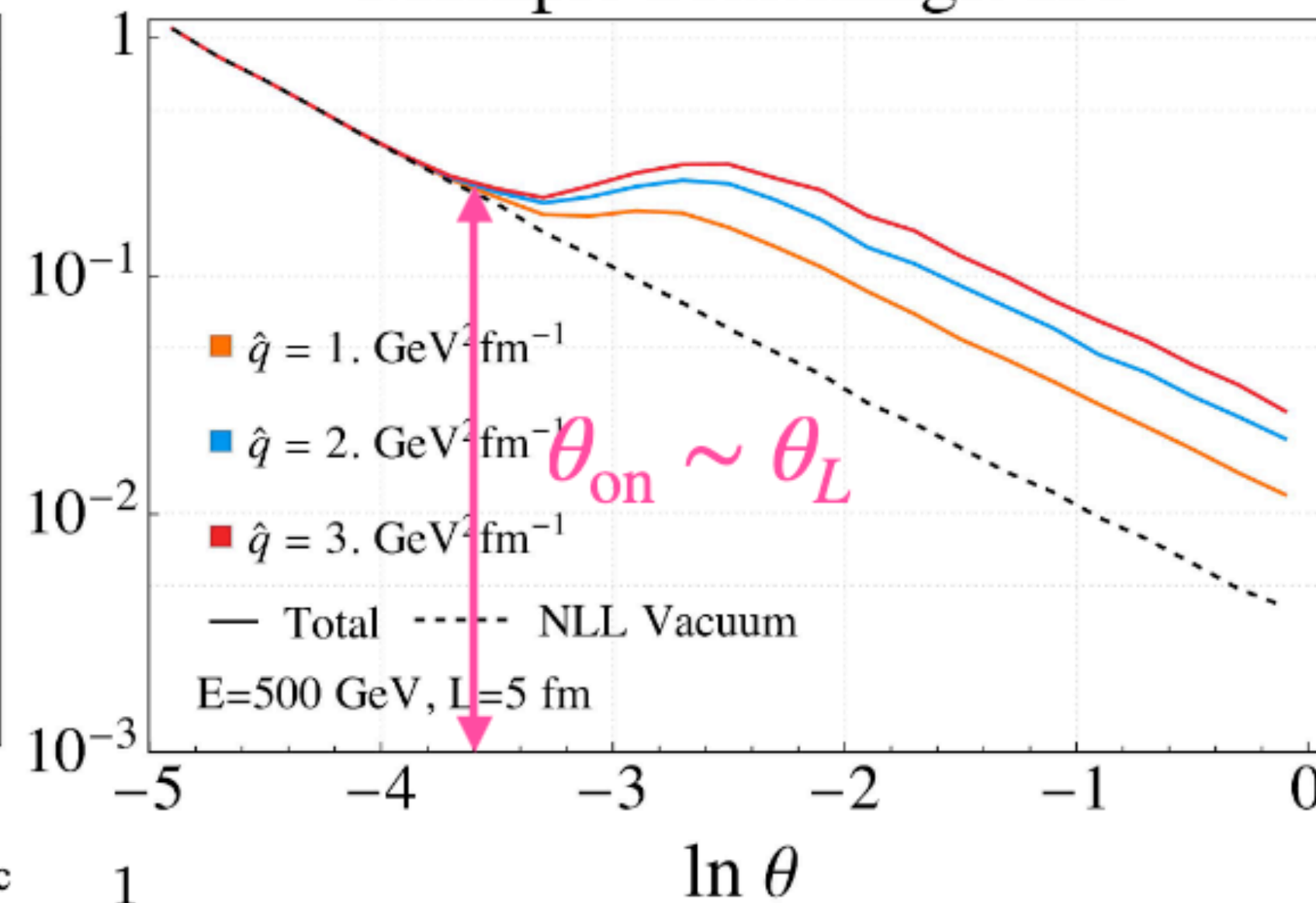
$$\theta_L \gg \theta_c \quad (E \ll \hat{q}L^2)$$

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Two-Point Energy Correlator
Multiple Scatterings: HO



Two-Point Energy Correlator
Multiple Scatterings: HO

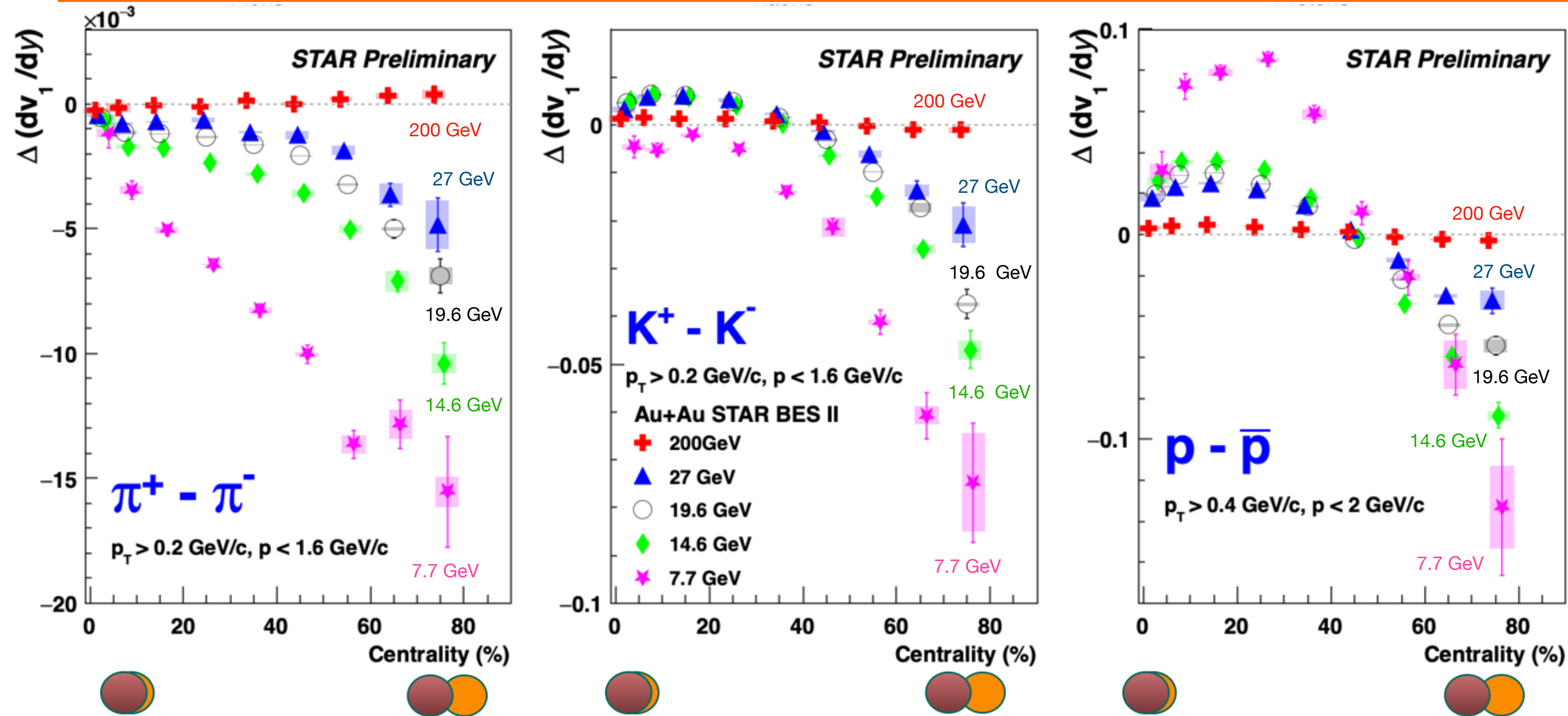


Medium-induced radiation effects only at small angles
 θ_{onset} independent of \hat{q}

How does more realistic simulation look?

Collaborations hard at work on these measurements, expect first results soon

Directed flow difference

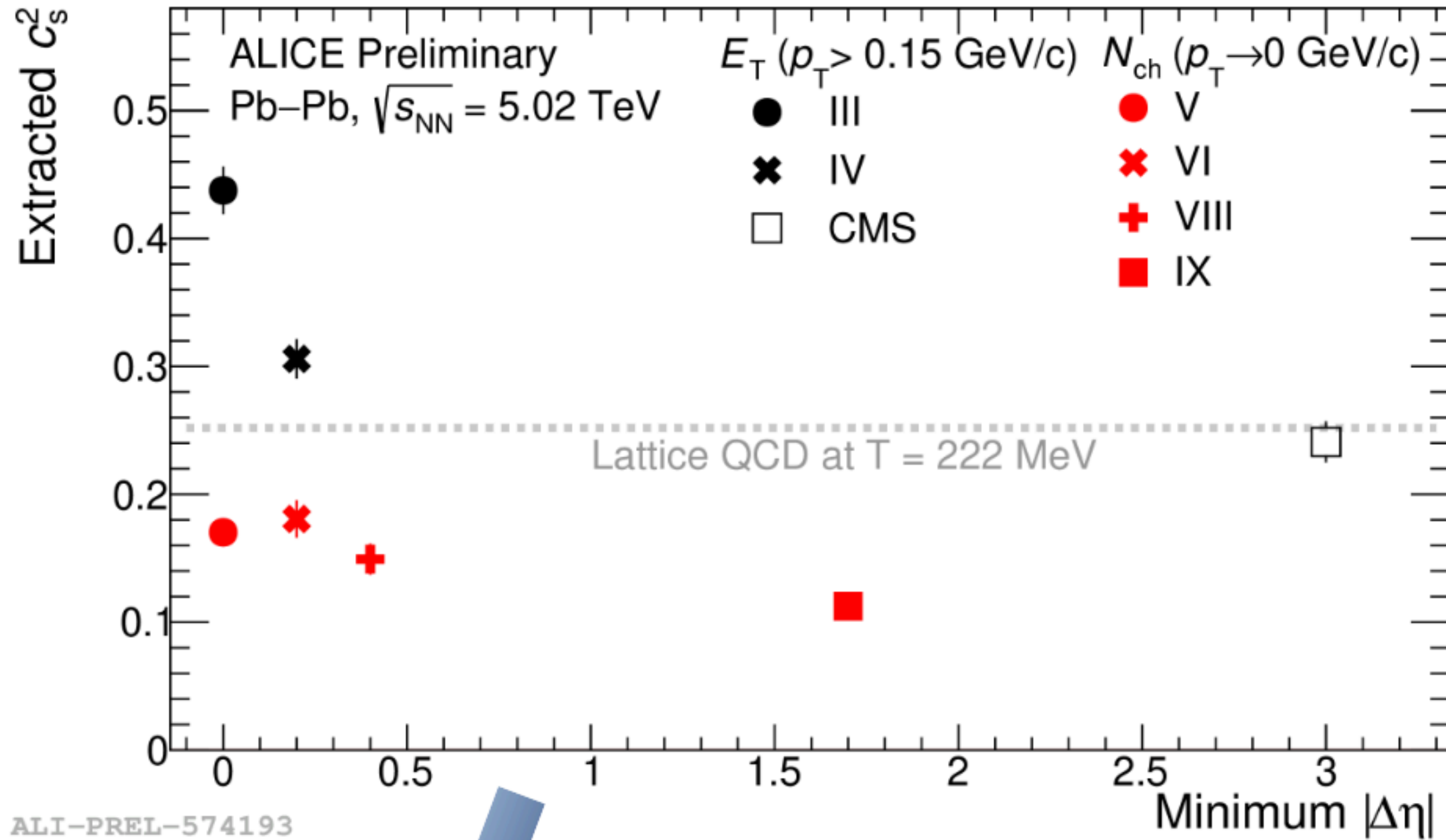


Different effects can/do dominate in different regimes - Have precision to hopefully disentangle

Difference in particle-anti-particle slope:

- Increases with decreasing centrality - Higher B-field
- Increases with decreasing beam energy - Increasing crossing time
- Has species dependence - transported vs created quarks

Speed of Sound: ALICE



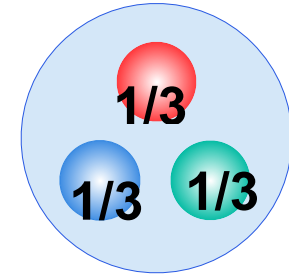
Observable	Label	Centrality estimation	$\langle p_T \rangle$ and $\langle dN_{ch}/d\eta \rangle$	η gap
N_{ch} in TPC	I	$ \eta \leq 0.8$	$ \eta \leq 0.8$	0
	II	$0.5 \leq \eta \leq 0.8$	$ \eta \leq 0.3$	0.3
E_T in TPC	III	$ \eta \leq 0.8$	$ \eta \leq 0.8$	0
	IV	$0.5 \leq \eta \leq 0.8$	$ \eta \leq 0.3$	0.3
$N_{tracklets}$ in SPD	V	$ \eta \leq 0.8$	$ \eta \leq 0.8$	0
	VI	$0.5 \leq \eta \leq 0.8$	$ \eta \leq 0.3$	0.3
	VII	$0.3 < \eta \leq 0.6$	$ \eta \leq 0.3$	0
	VIII	$0.7 \leq \eta \leq 1$	$ \eta \leq 0.3$	0.4
N_{ch} in V0	IX	$-3.7 < \eta < -1.7 + 2.8 < \eta < 5.1$	$ \eta \leq 0.8$	1.7

Summary plot of extracted c_s^2 with different centrality estimators and various η separations between particles used for $\langle p_T \rangle$ and centrality

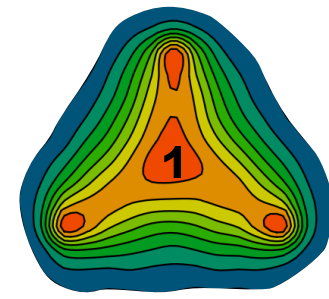
The extraction is heavily **dependent on the choice of centrality estimator**

A significant difference in forward versus midrapidity centrality determination and from the bias of the centrality estimator

What carries the baryon number?

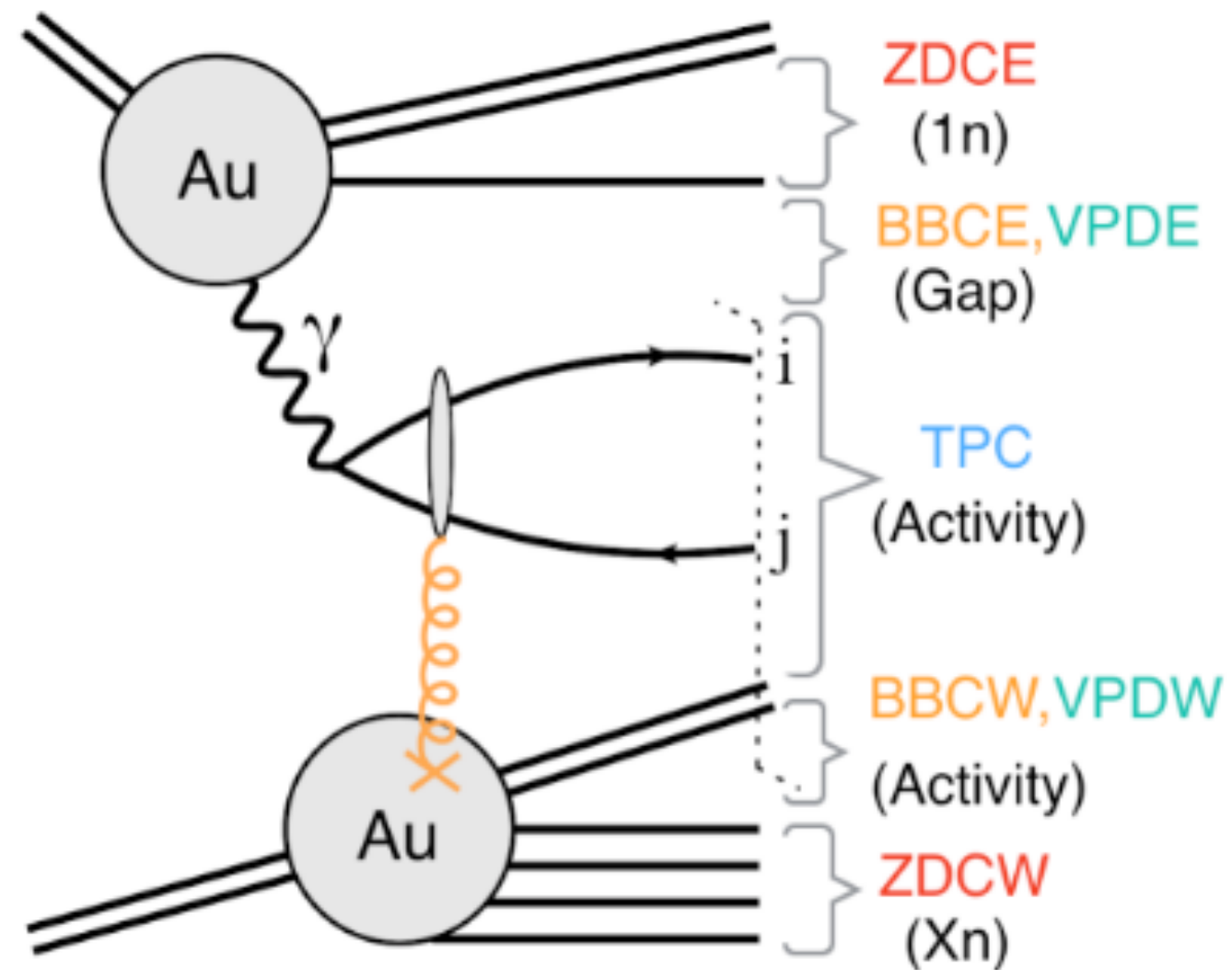


Quarks as baryon carriers?



Baryon-junction as baryon carrier?

fig: Suganuma et al.
AIP Conf.Proc. 756
(2005) 1, 123

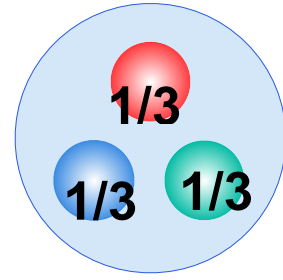


Study photonuclear events:
Very clean process

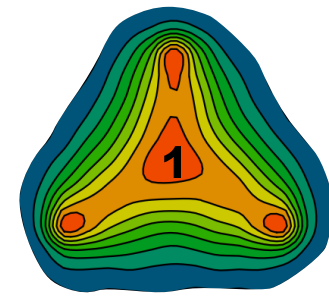
Baryon number in 3 valence quarks - no stopped baryons

Baryon junctions - produce midrapidity proton

What carries the baryon number?

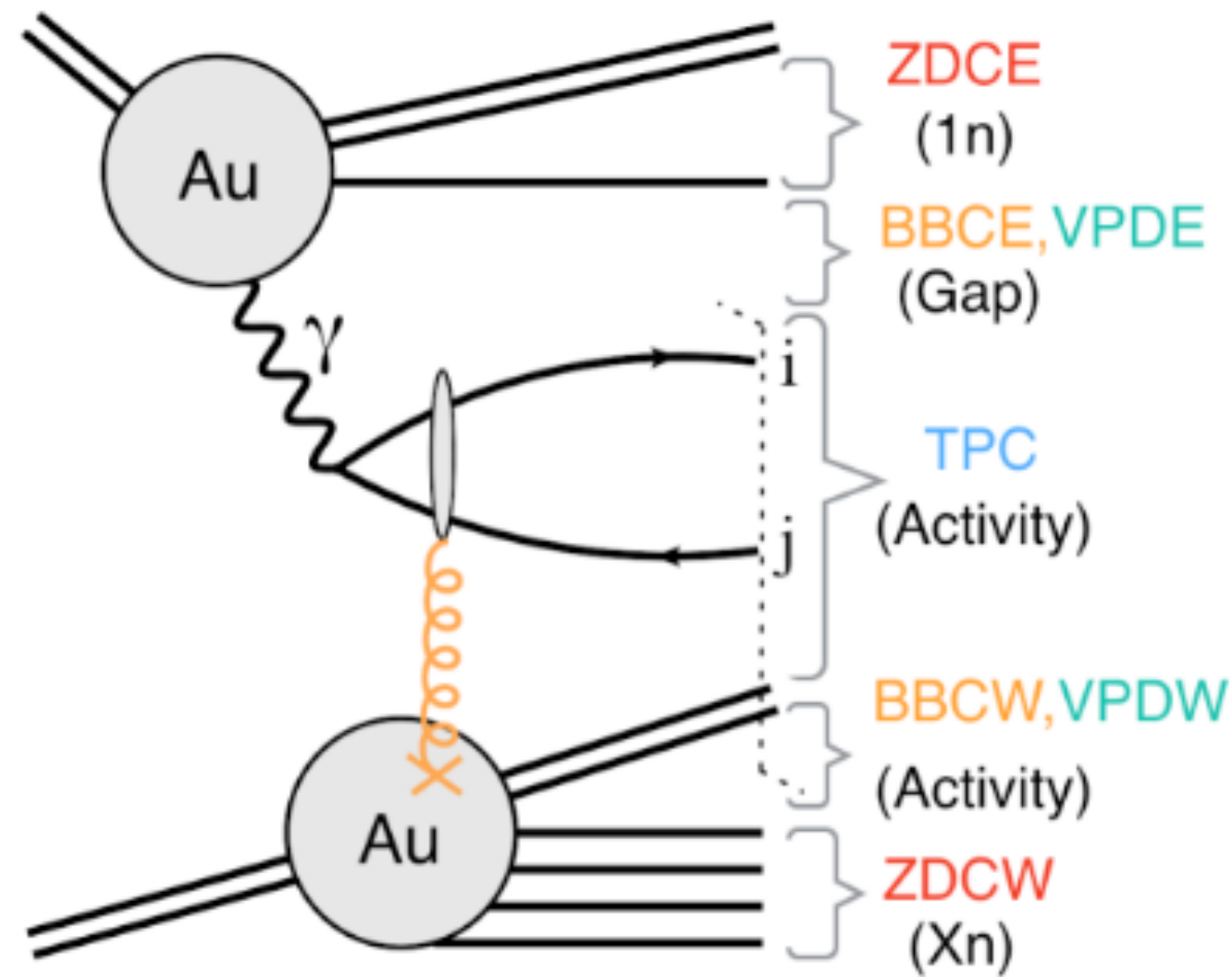


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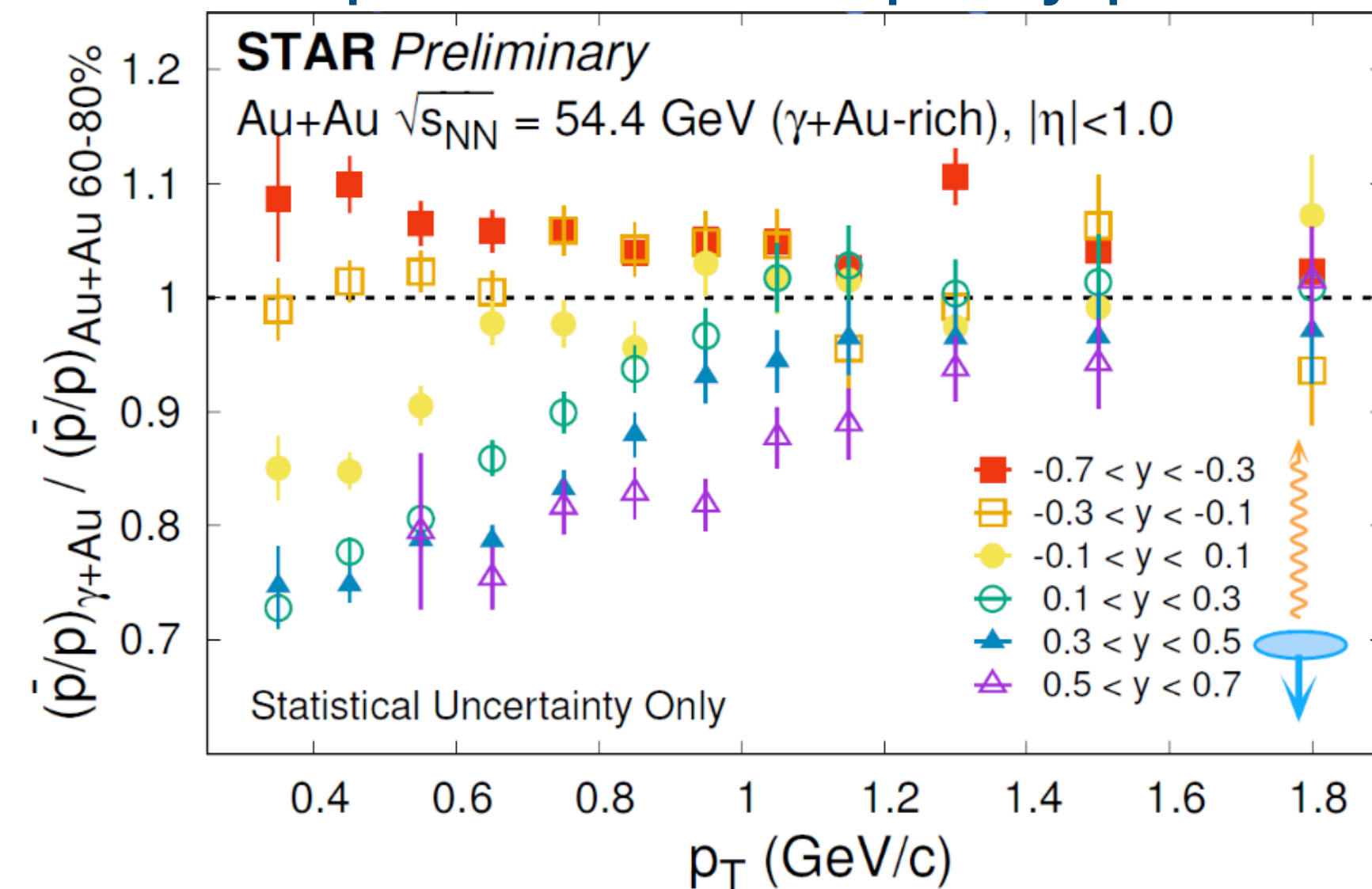
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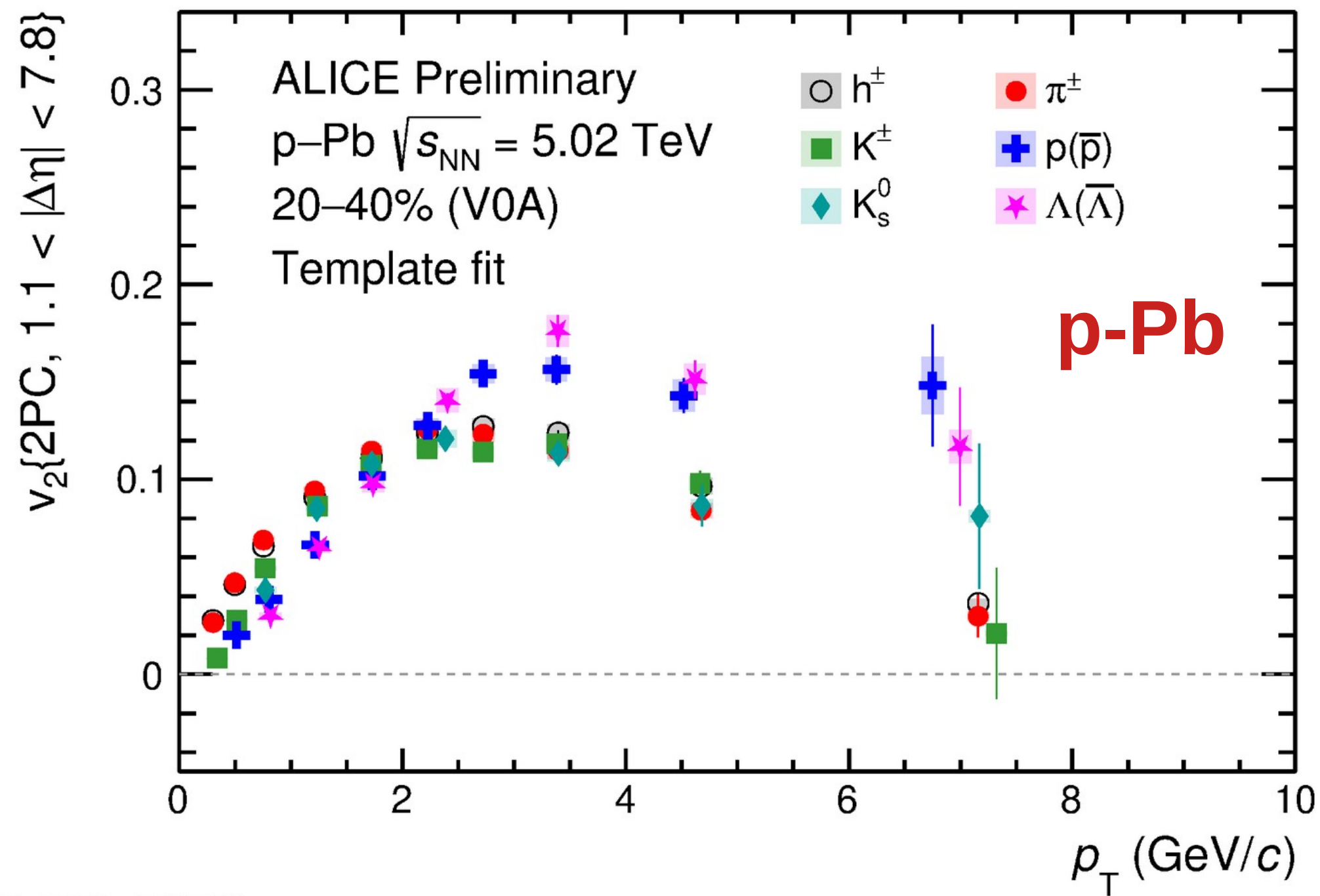
Baryon junctions - produce midrapidity proton

stronger rapidity dependent stopping in γ +Au than peripheral Au+Au at approximately same multiplicity

Path towards a microscopic understanding of what carries baryon number & how it is stopped



Small system flow

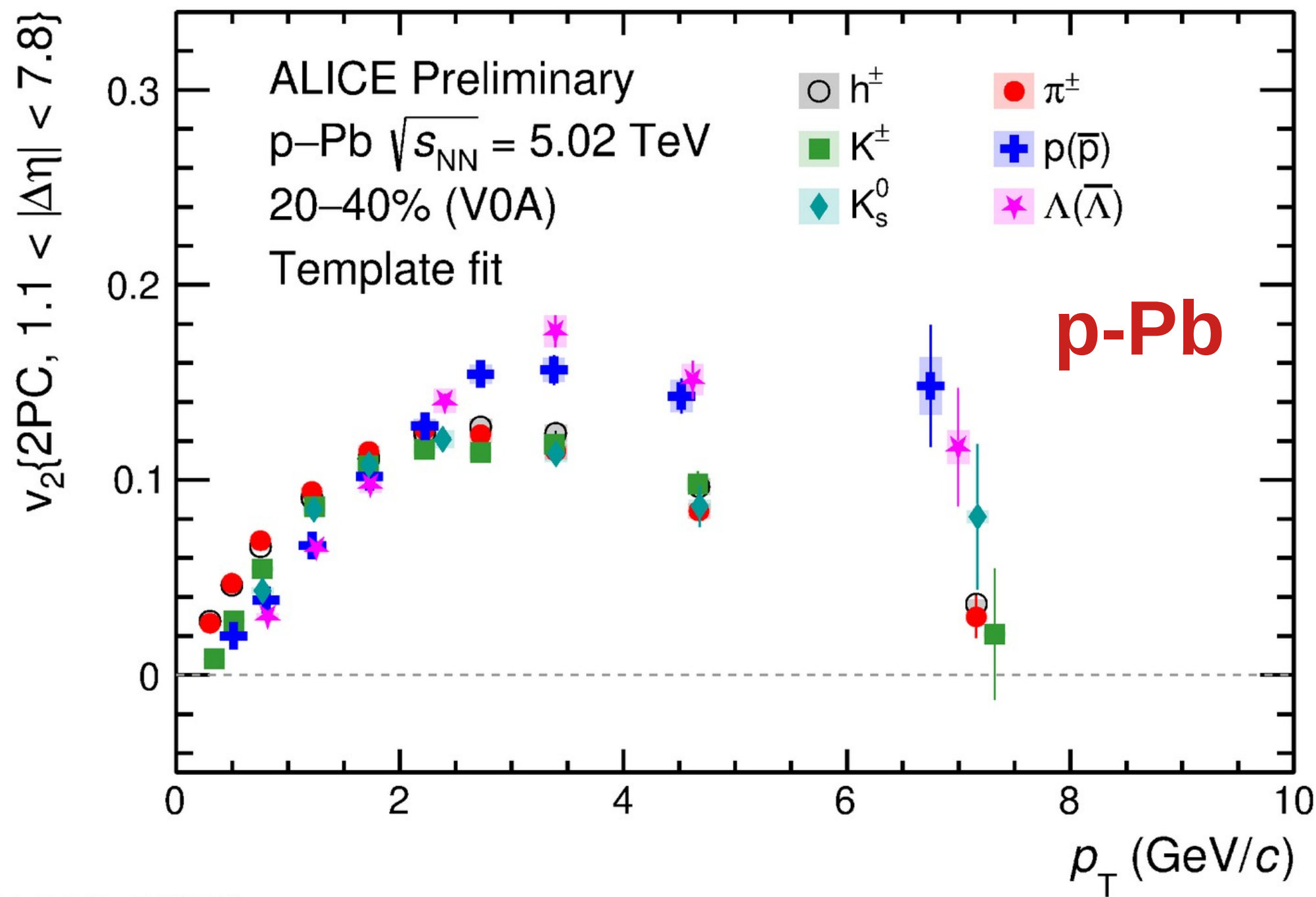


Low p_T - mass ordering

Intermediate p_T - NCQ scaling

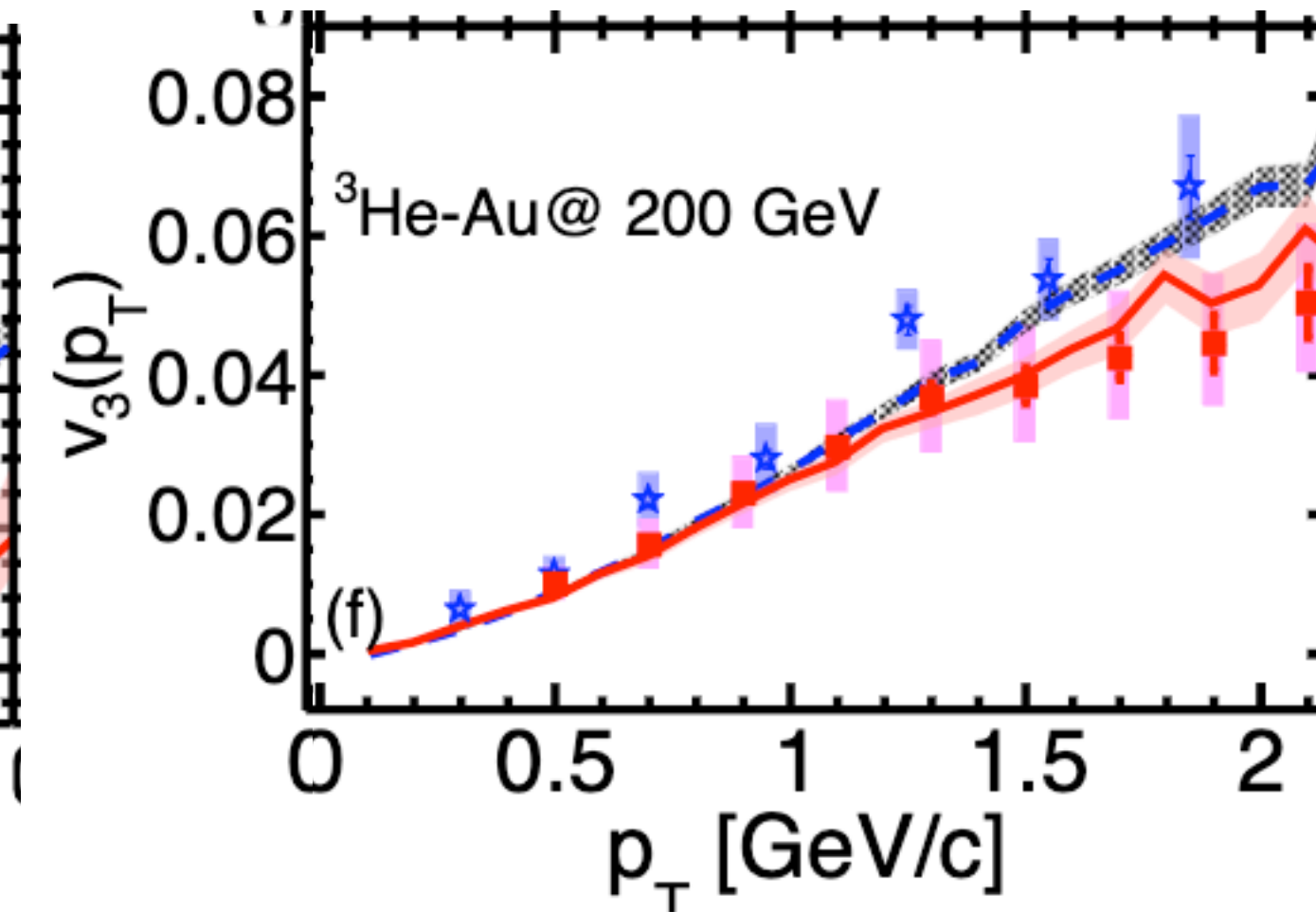
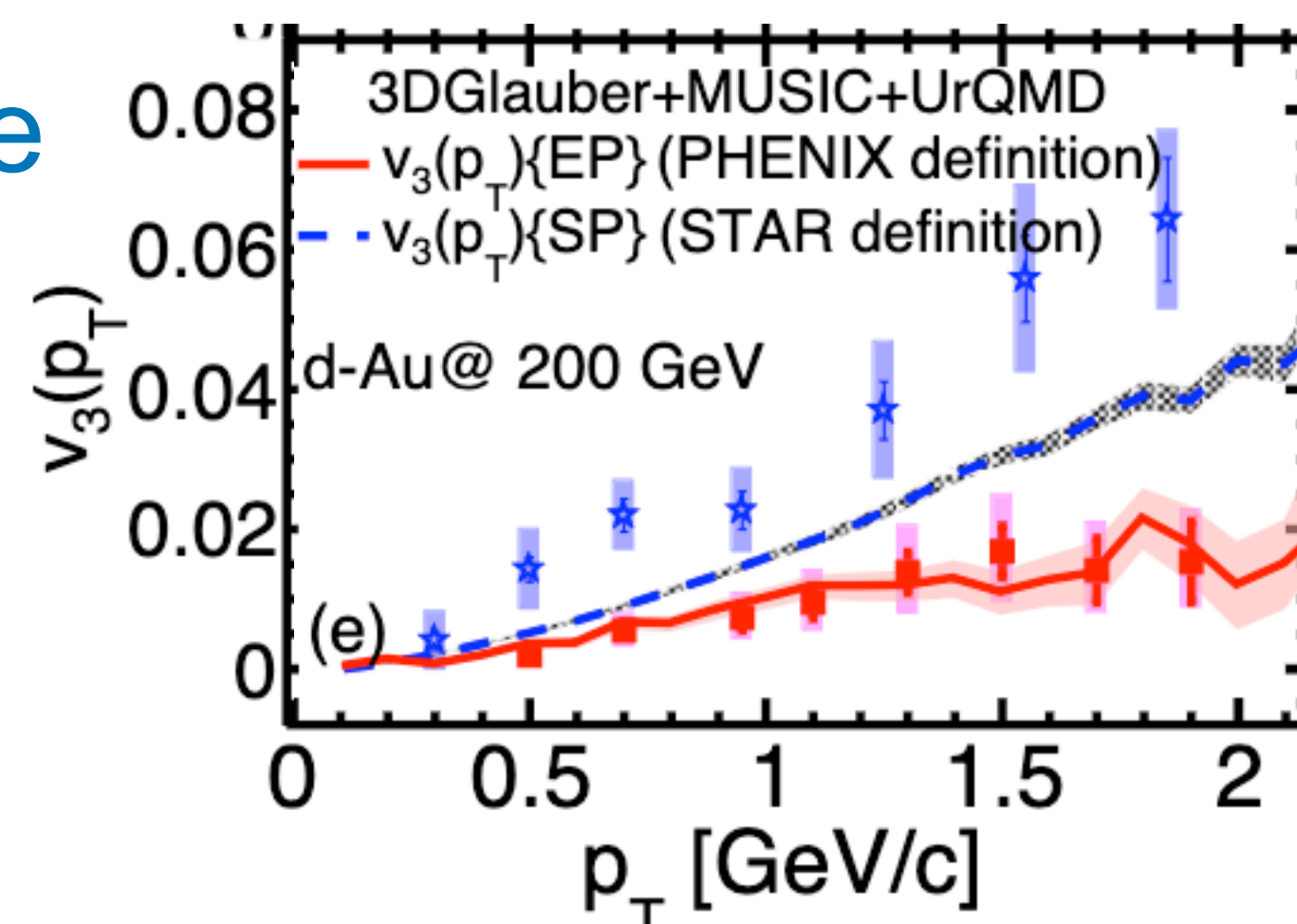
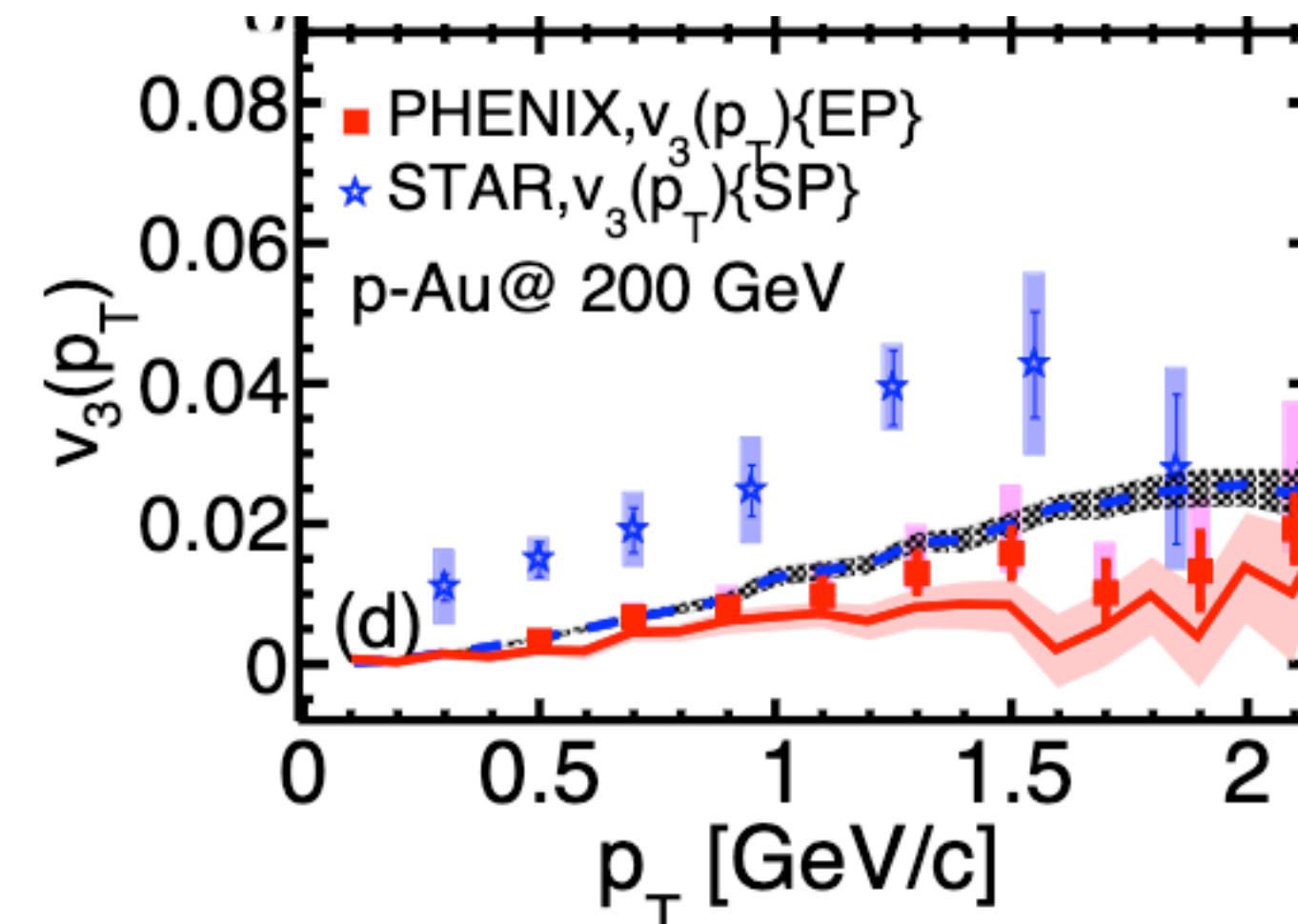
ALI-PREL-543472

Small system flow



Low p_T - mass ordering

Intermediate p_T - NCQ scaling

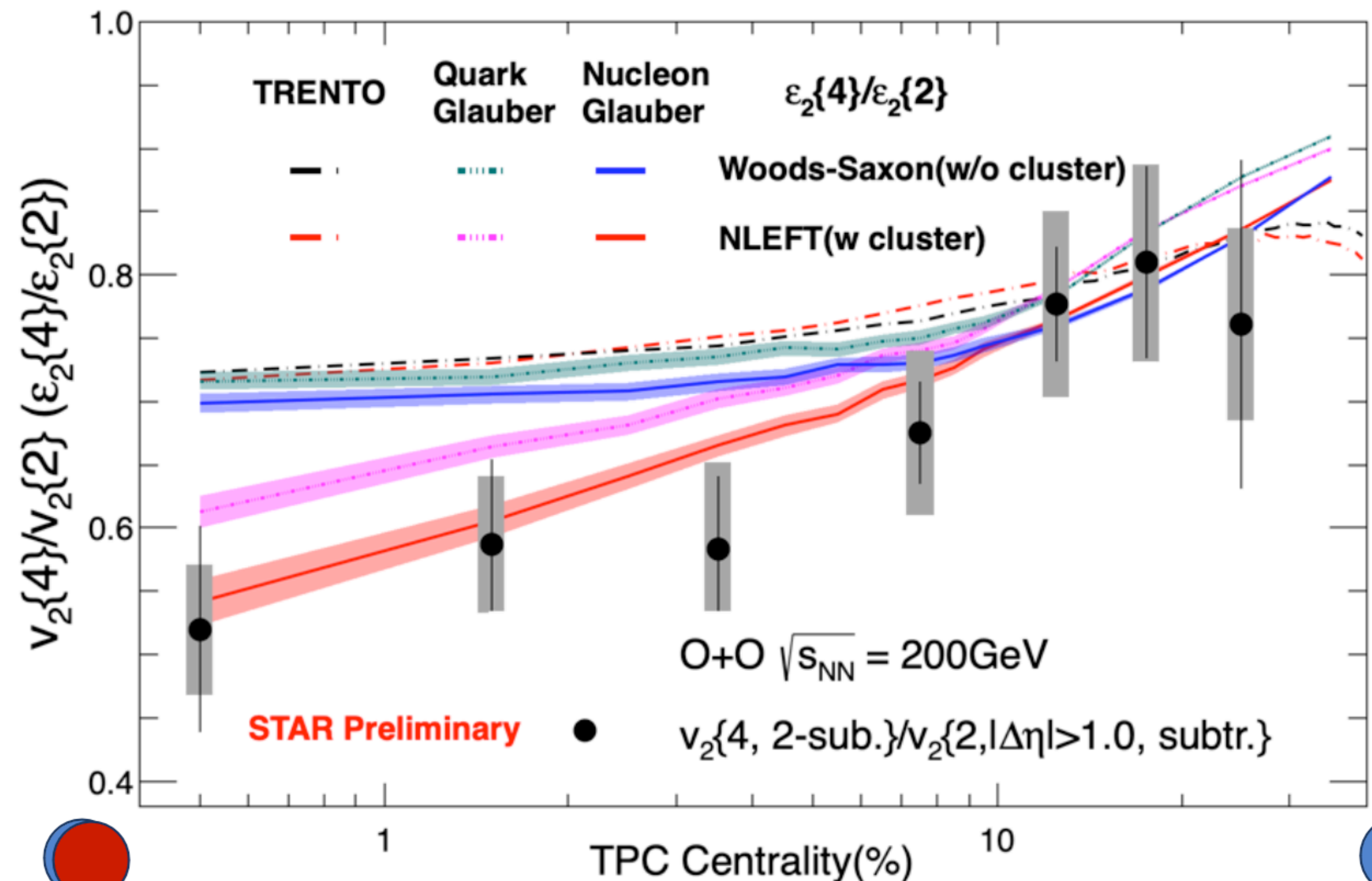


ALI-PREL-543472

v_2 and v_3 differences at RHIC largely due to use of different rapidity ranges

3+1D Hydro critical for comparisons
- medium not boost invariant over large rapidity ranges

Substructure of oxygen



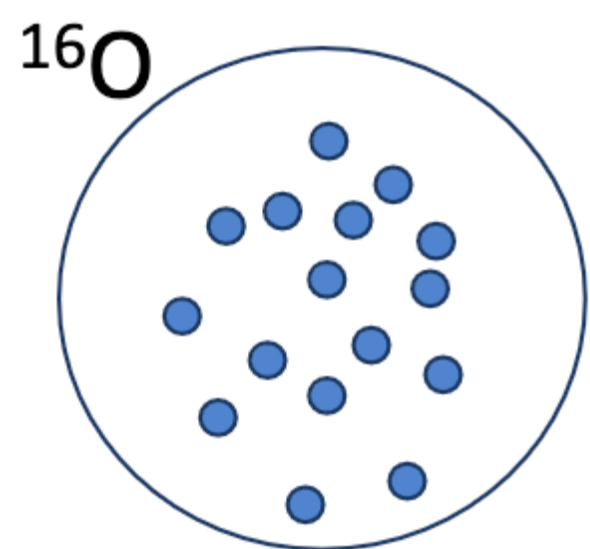
$v_2\{2\}$ - sensitive to fluctuations

$v_2\{4\}$ - reduced sensitivity to fluctuations

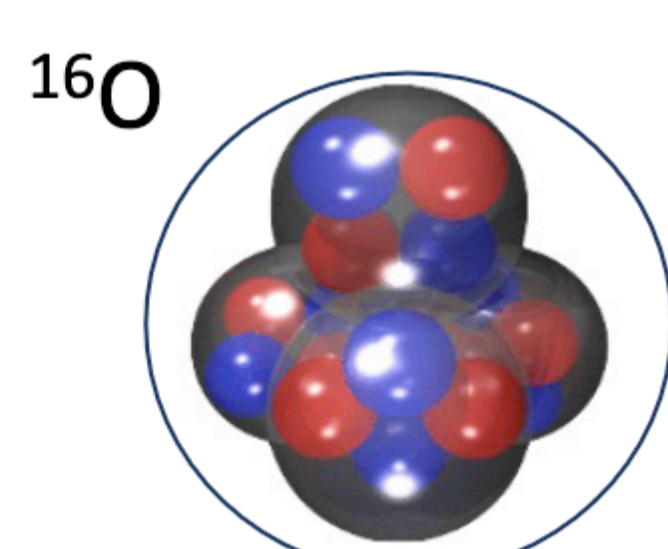
Data:
in central event but **fluctuations enhanced**, (v_2 reduced overall)

Theory:
Alpha clusters enhance fluctuations

Data strongly favor alpha-clustering

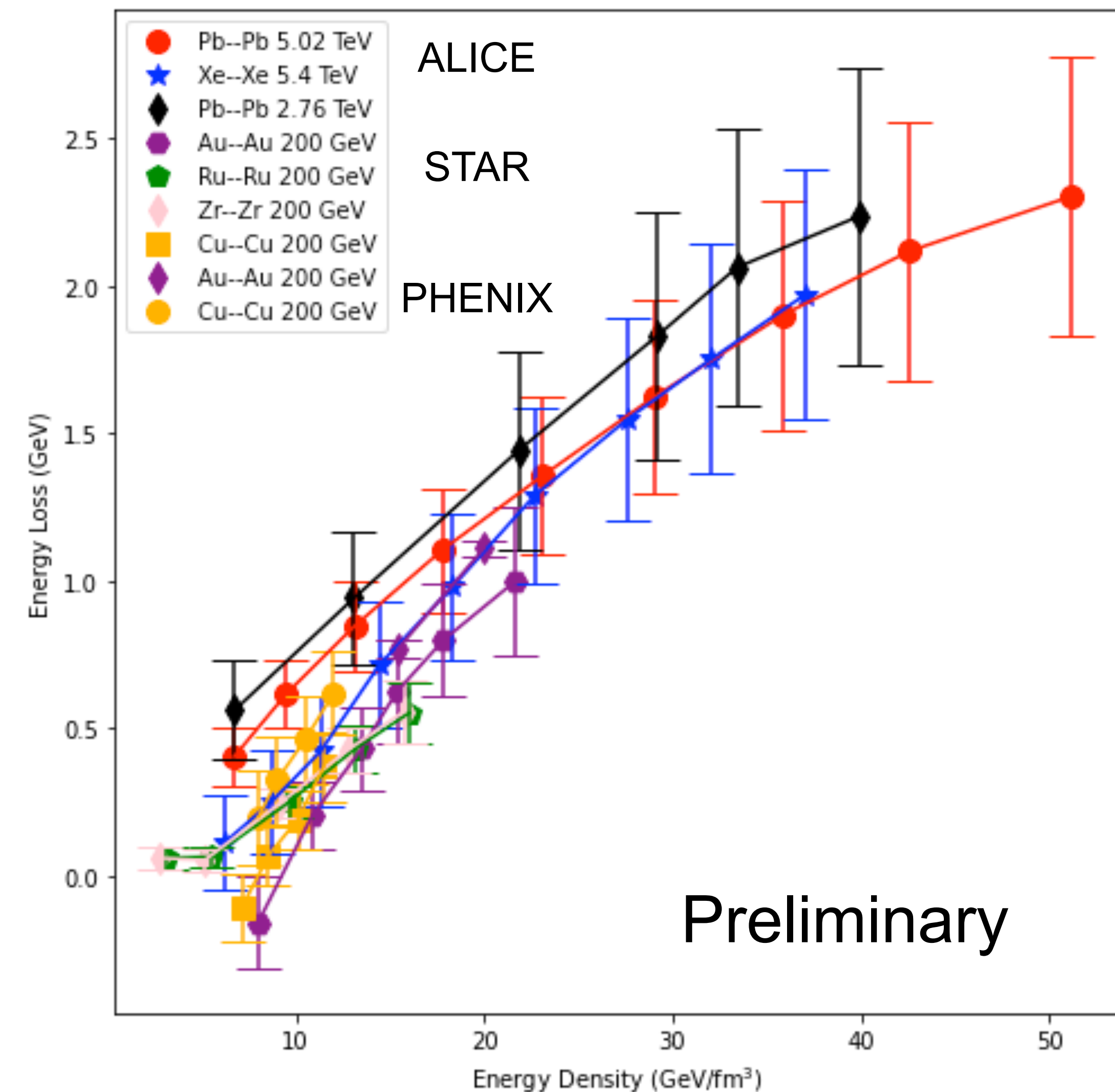


Woods-Saxon



α -cluster

Energy loss vs energy density



E_{Loss} from: shift of p_T spectra

Approximate energy density from:

$$dN_{\text{ch}}/d\eta \longrightarrow dS/dy \longrightarrow s_f T_f = dS/dy/A_T = S_{\text{init}} T_{\text{init}}$$

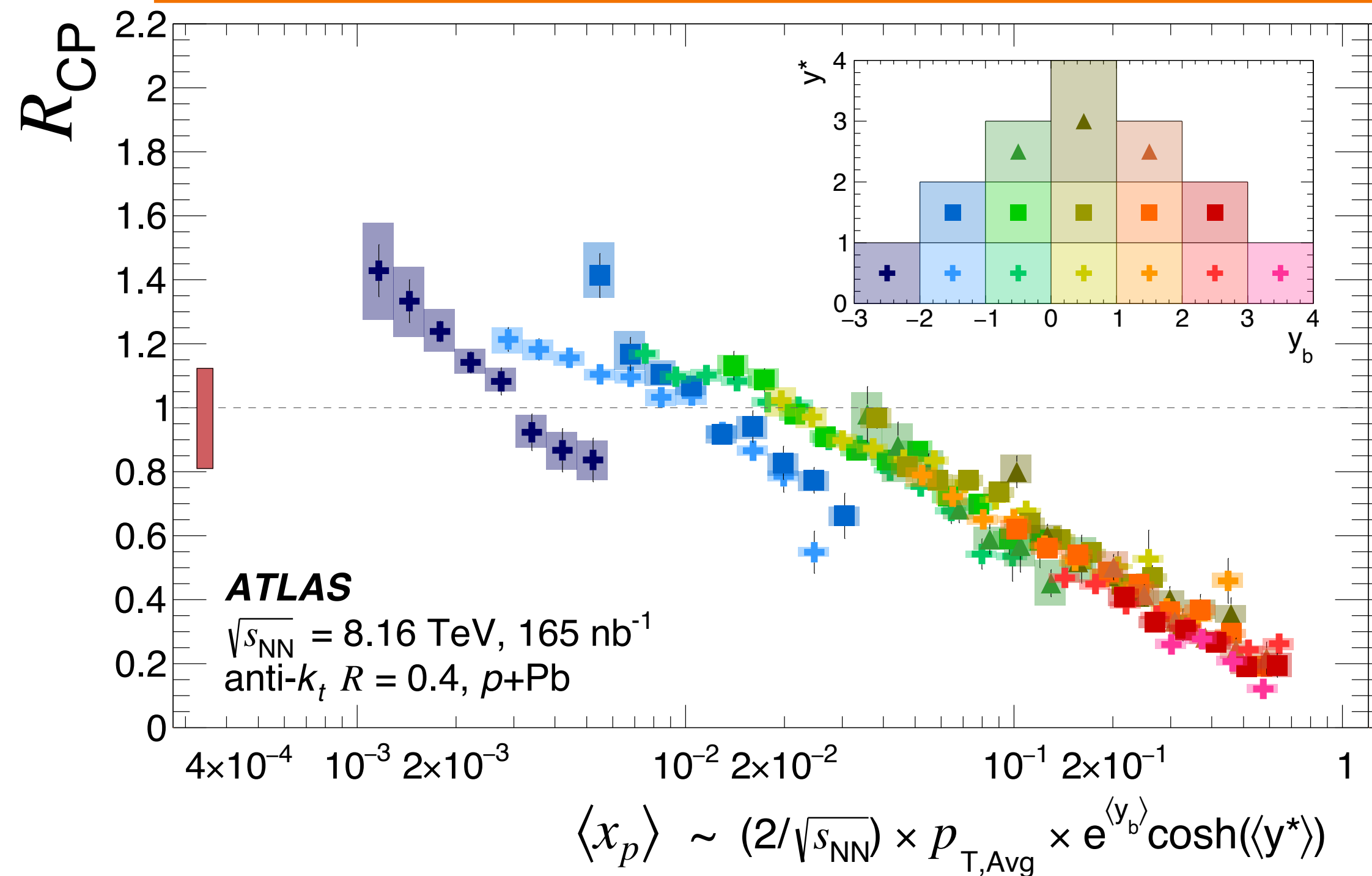
$$\epsilon_{\text{init}} = 3/4 s_{\text{init}} T_{\text{init}}$$

Given number of approximations reasonably reasonable correlation between E_{Loss} and ϵ_{init} over different species and collision energies

Link between entropy and charged particle density very sensitive to viscosity.

Maybe worth more careful calculation?

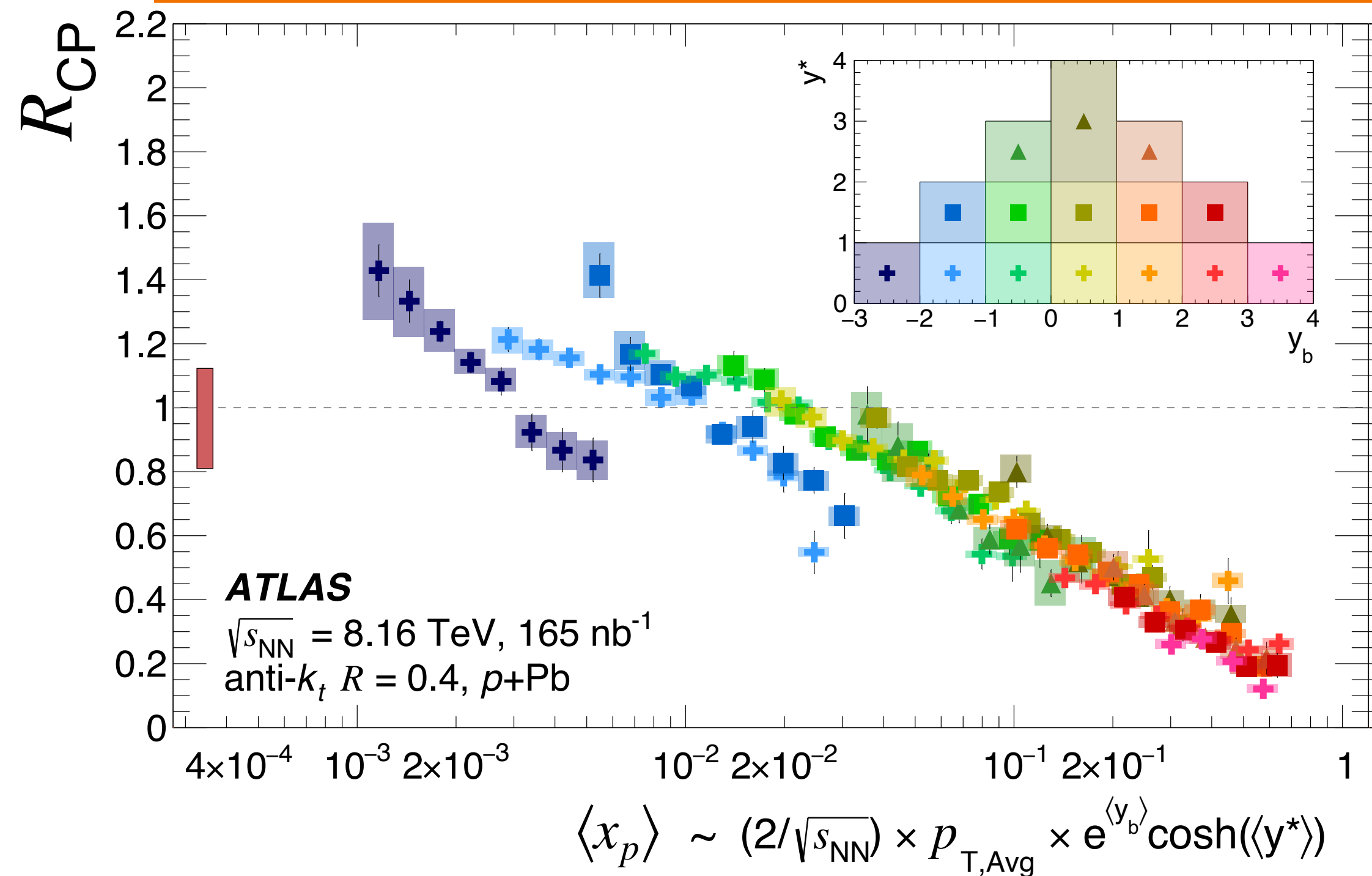
Energy loss to p(d)-Au medium?



ATLAS di-jet studies: centrality dependence of jet yield initial (x_p), not final, state effect!

CMS: no di-jet imbalance, no E_{Loss}

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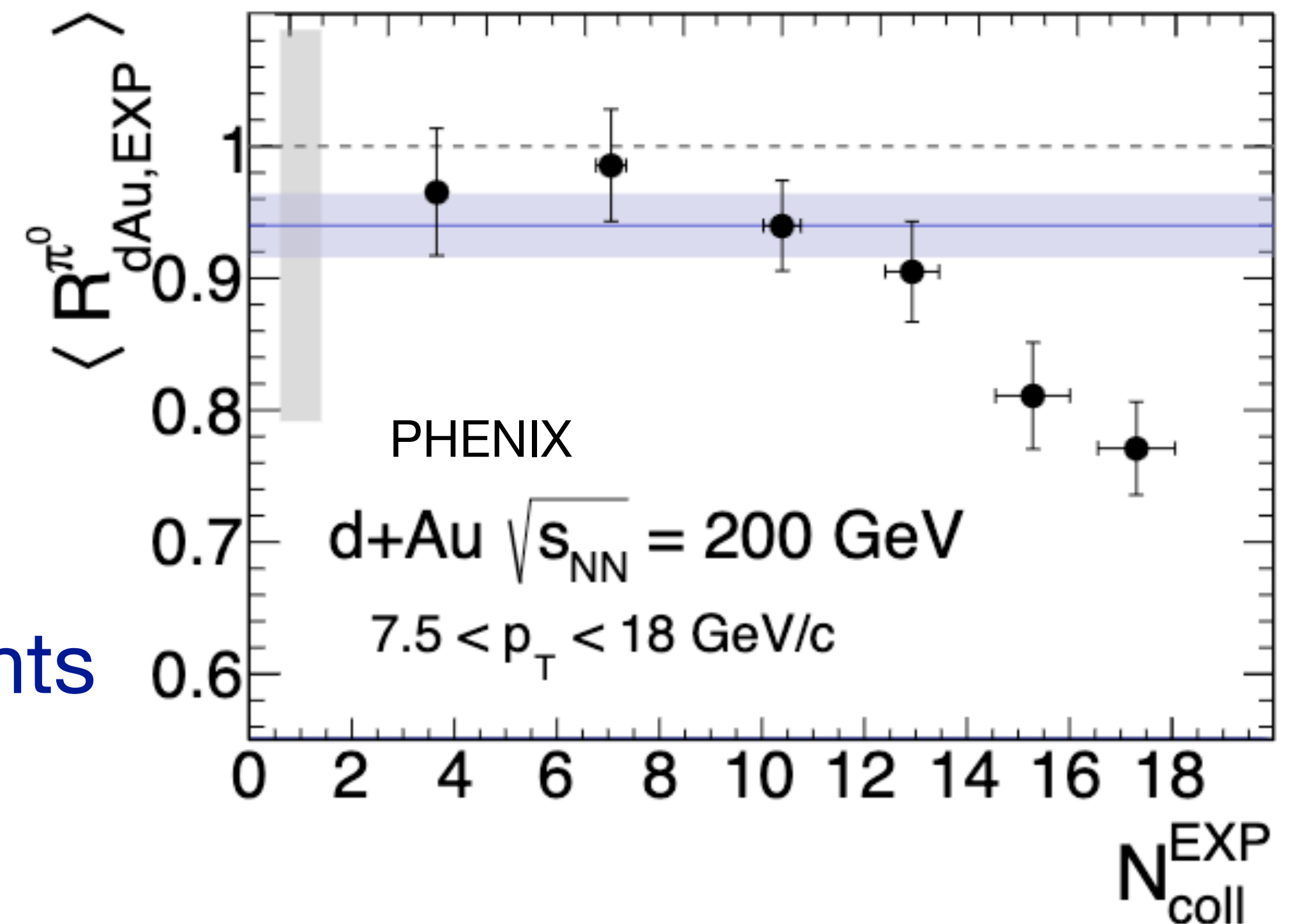


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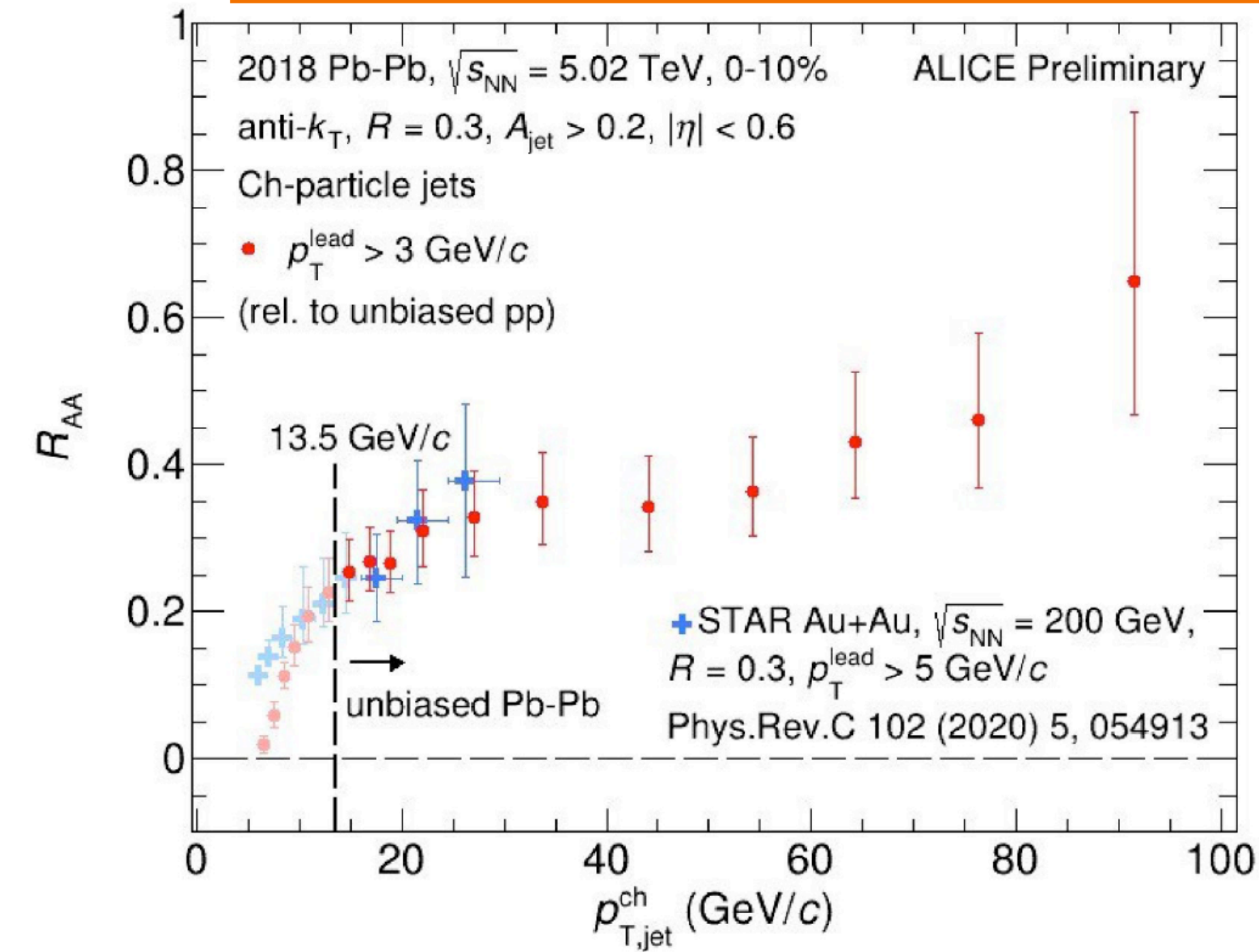
PHENIX:

Show usual techniques to determine N_{bin}
 so now determine by forcing $R_{dAu} \gamma$ to unity
 Strong suppression of π^0 in high multiplicity events



Not clear there's a consistent picture across collision energies yet

Nuclear modification of jets



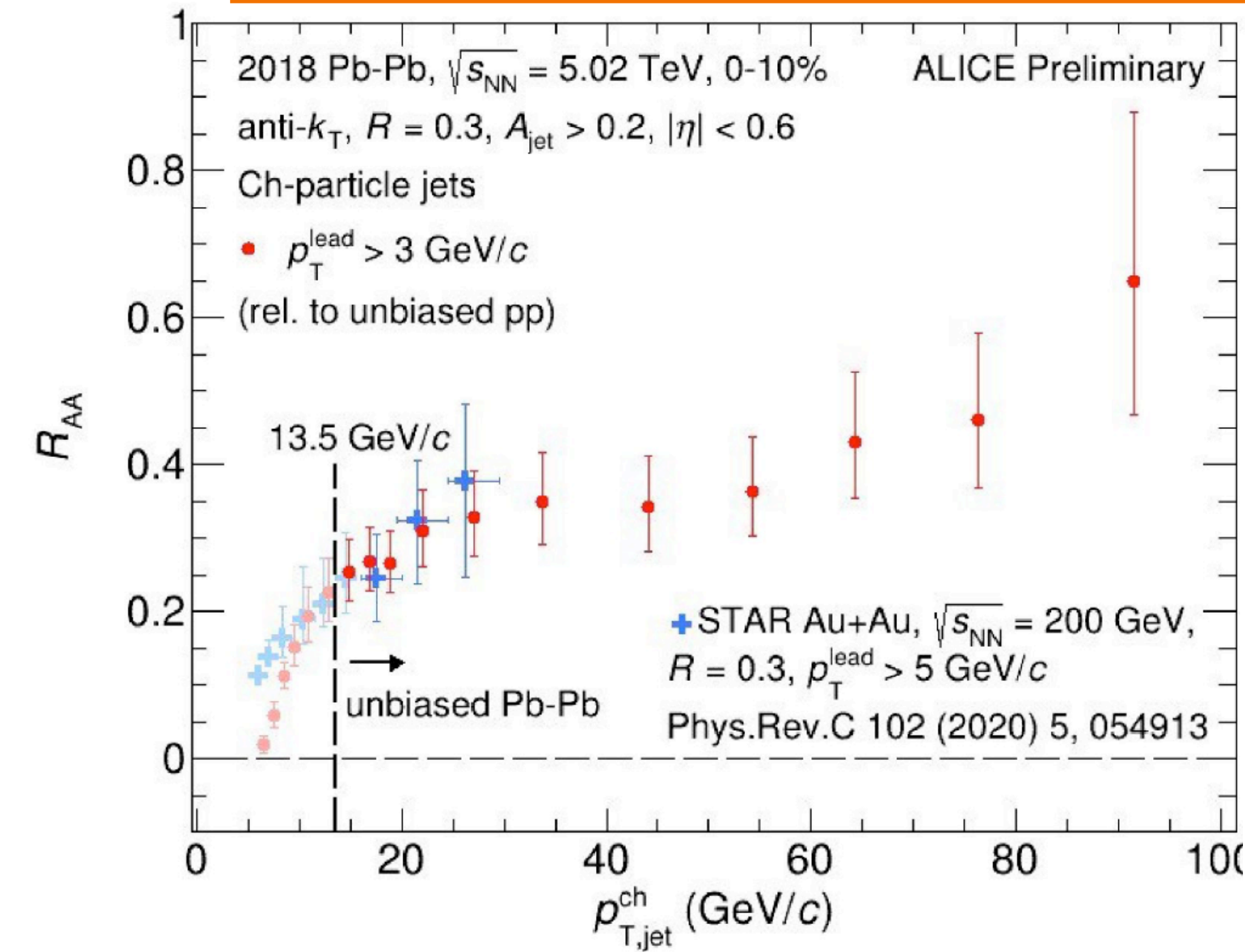
Charged jet results at same p_T for RHIC and LHC (N.B. scale by ~ 1.5 to get to full jet equivalent p_T)

Similar R_{AA} for both collision energies

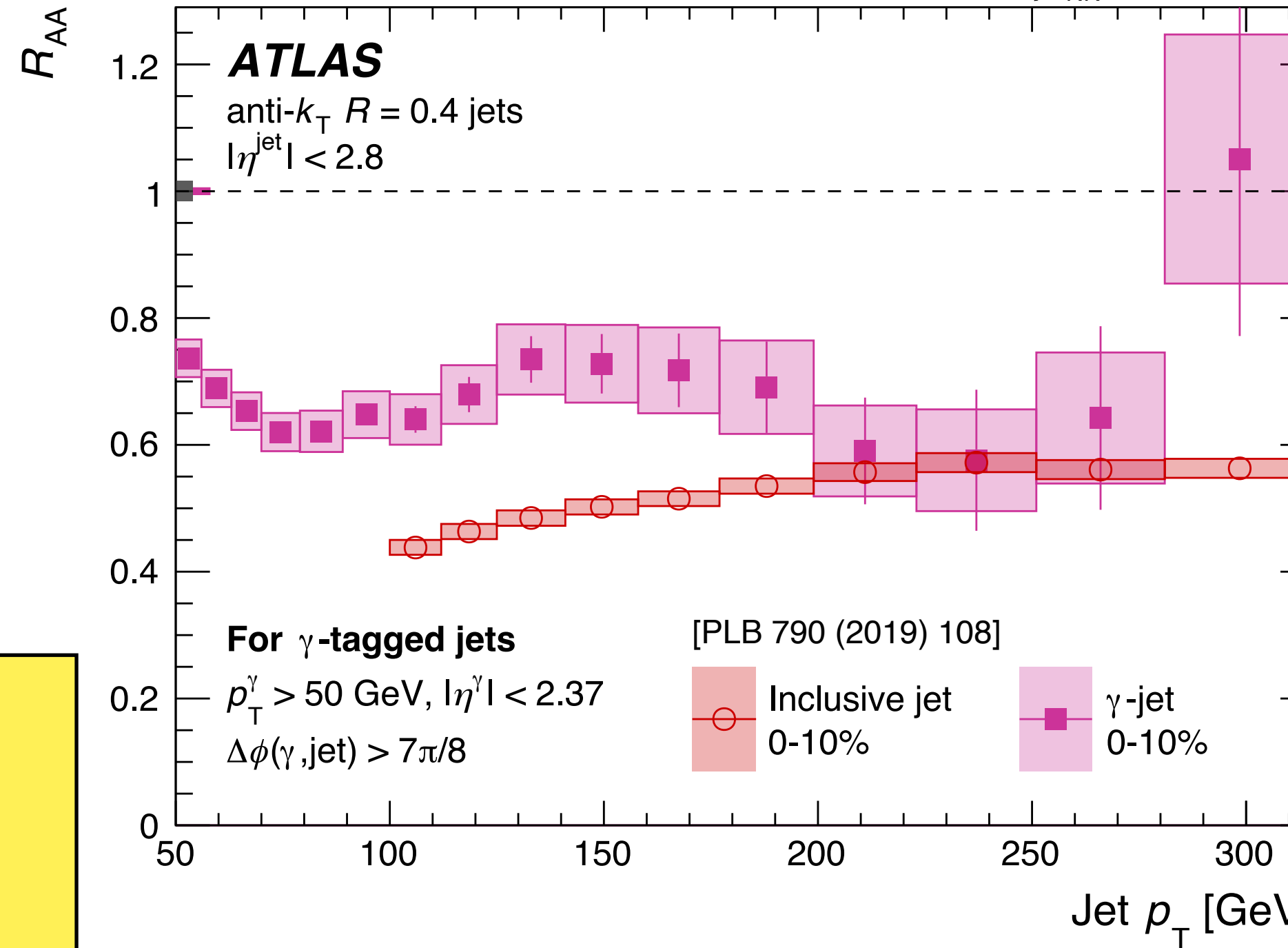
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Similar R_{AA} for both collision energies



2018 Pb+Pb 1.7 nb⁻¹, 2017 pp 260 pb⁻¹, $\sqrt{s_{NN}} = 5.02$ TeV



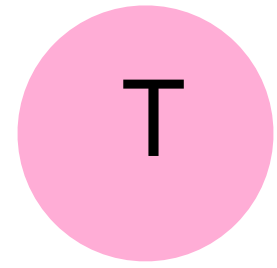
$\sim 80\%$ quark jets

$\sim 40-50\%$ quark jets

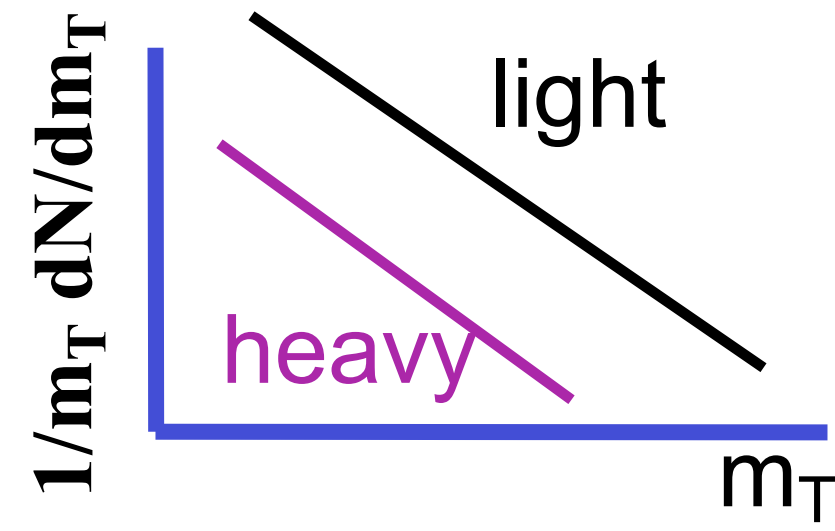
Clear difference in R_{AA} for inclusive and γ -tagged jets

In both cases interpretation complicated due to differing slopes of pp baselines

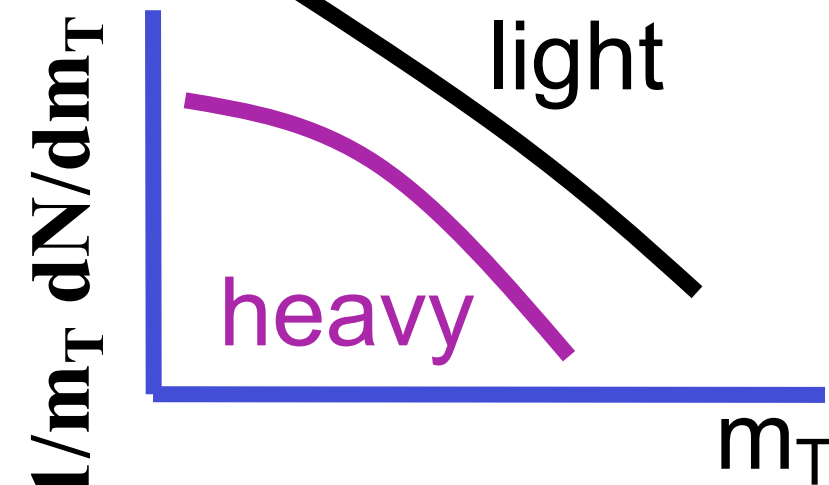
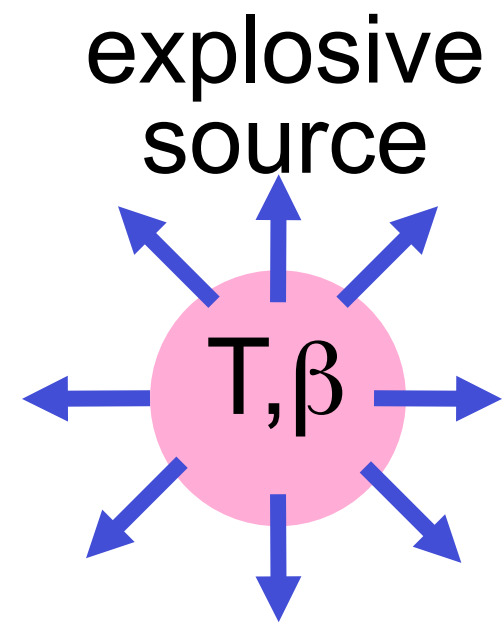
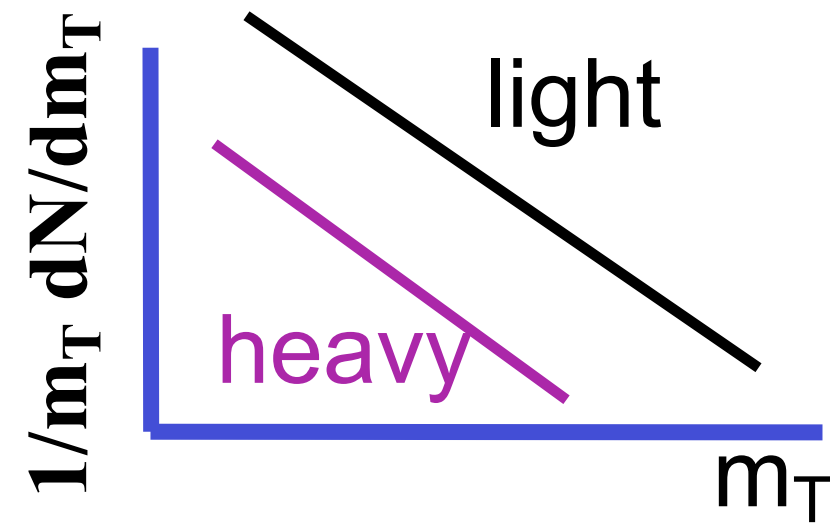
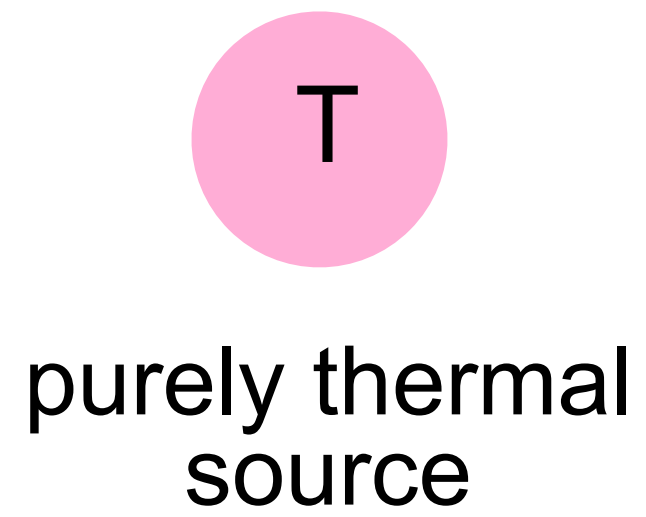
Kinematics after last scattering



purely thermal
source



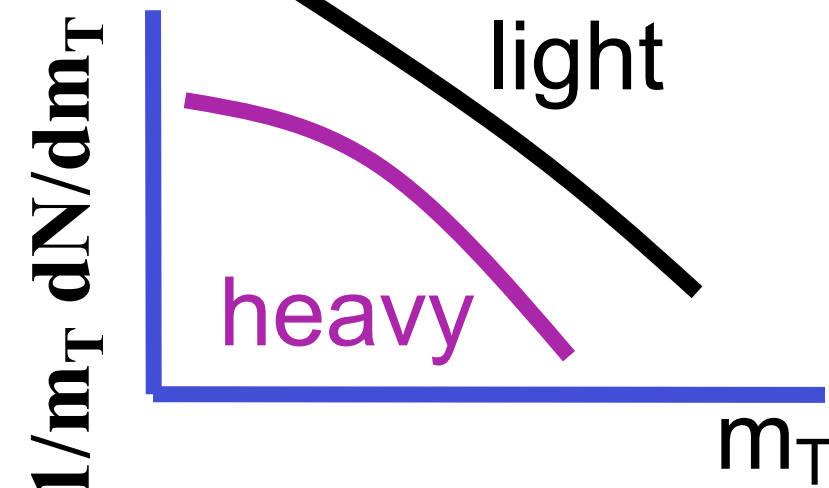
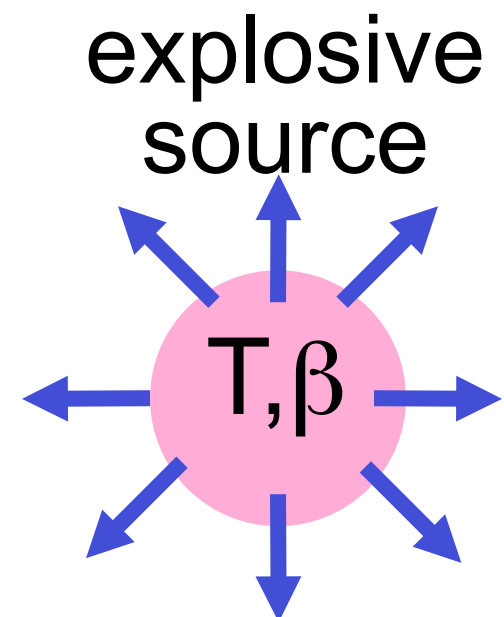
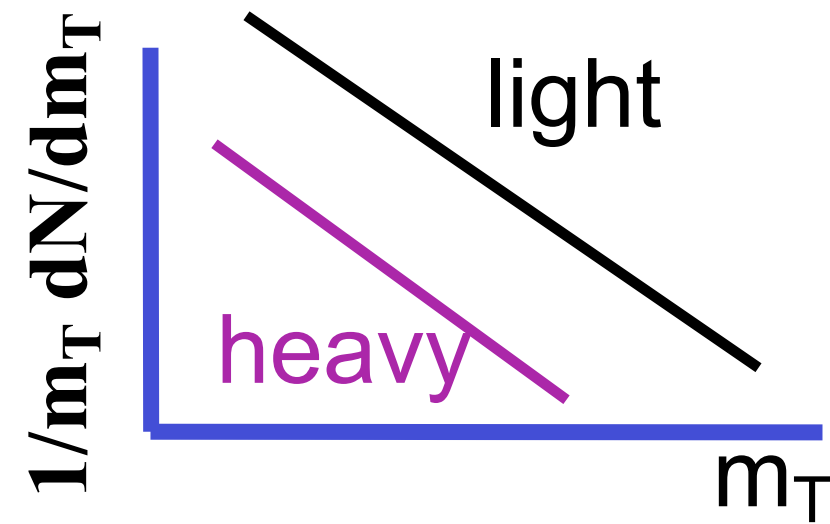
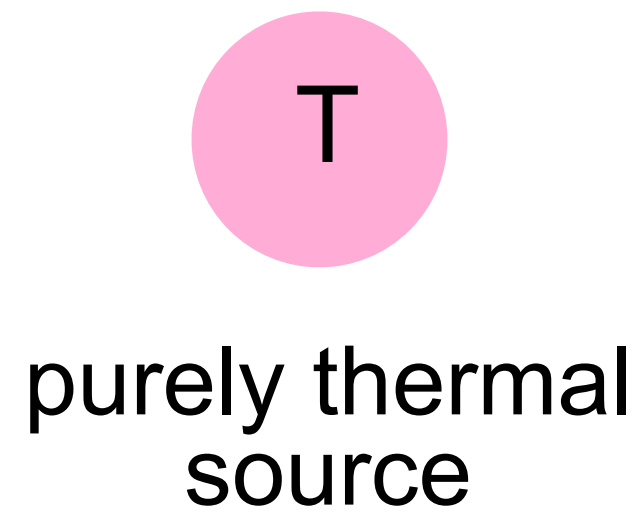
Kinematics after last scattering



$$m_T = (p_T^2 + m^2)^{1/2}$$

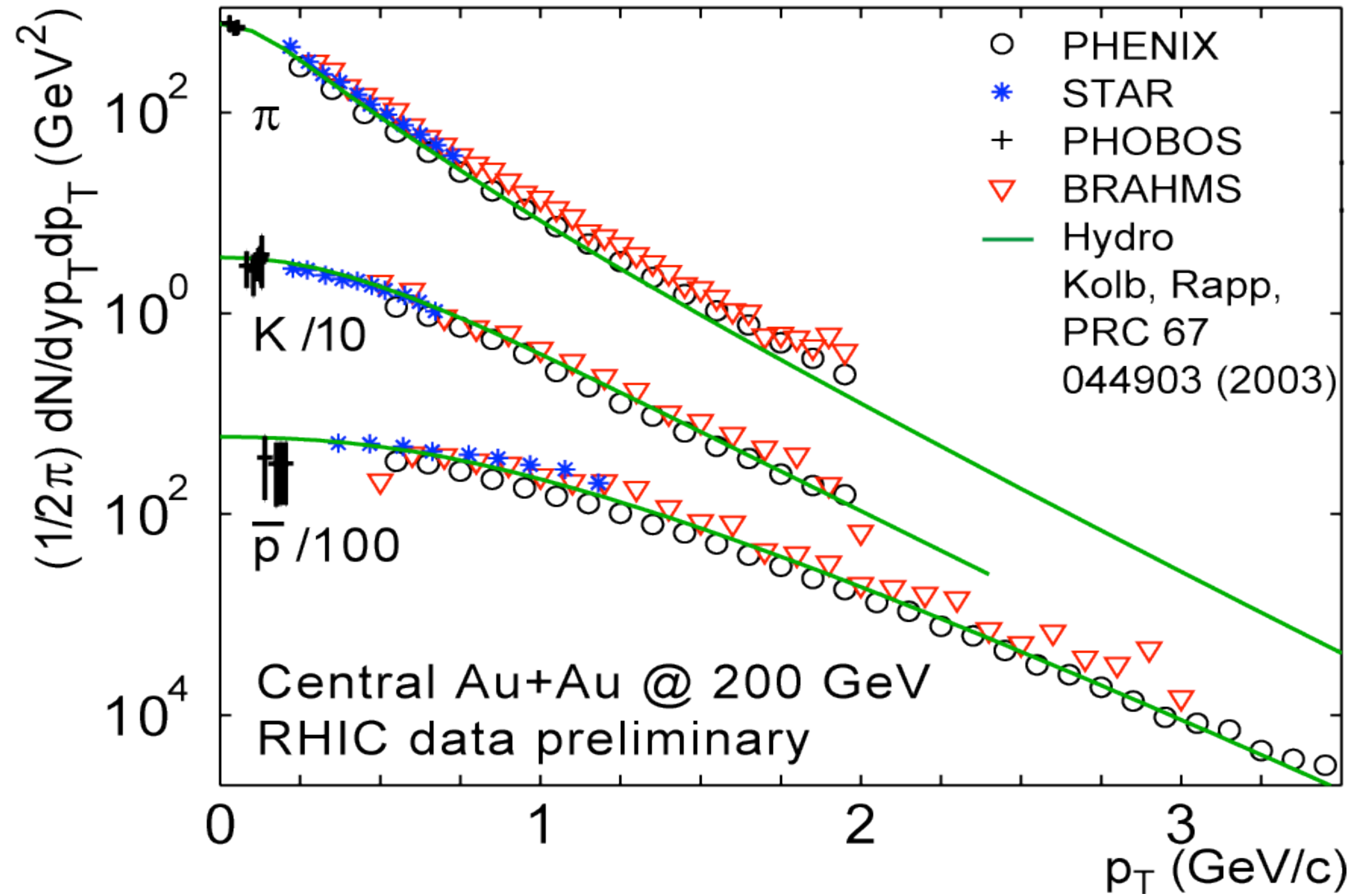
Different spectral shapes for particles of differing mass
→ strong **collective radial flow**

Kinematics after last scattering



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Different spectral shapes for particles of differing mass
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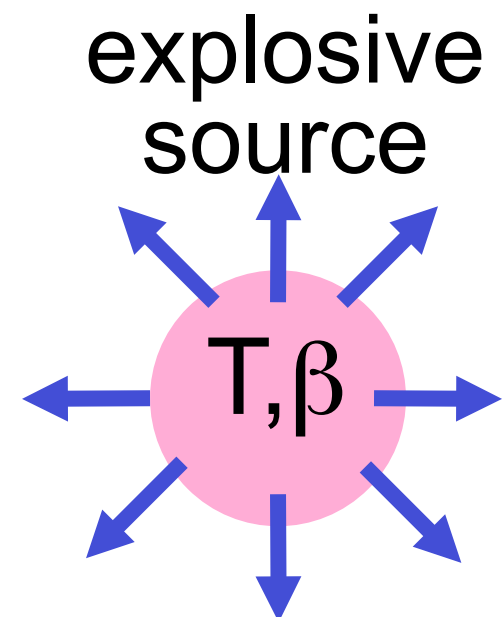
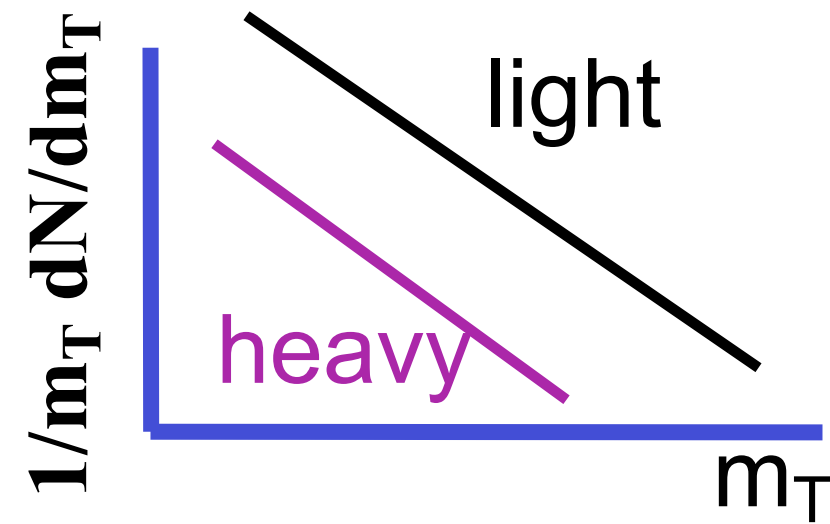
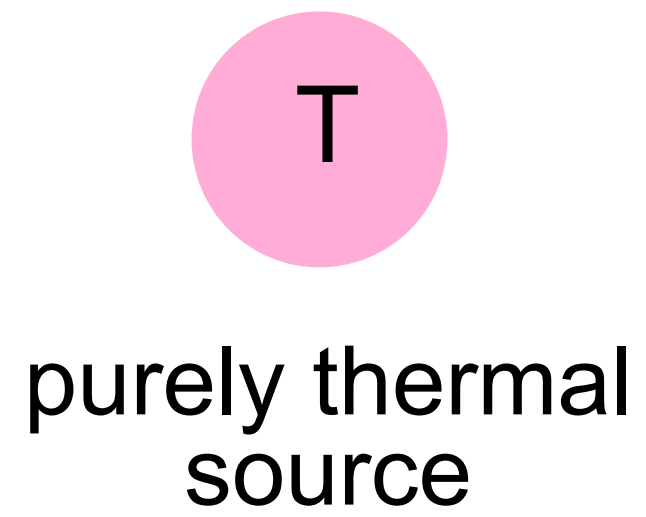


$$T_{fo} \sim 100 \text{ MeV}$$

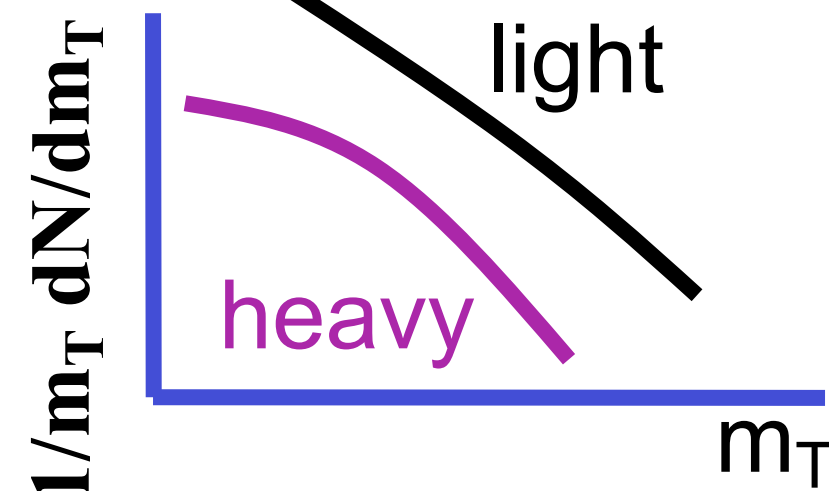
$$\langle \beta_T \rangle \sim 0.55 c$$

Good agreement with hydrodynamic explosively expanding source

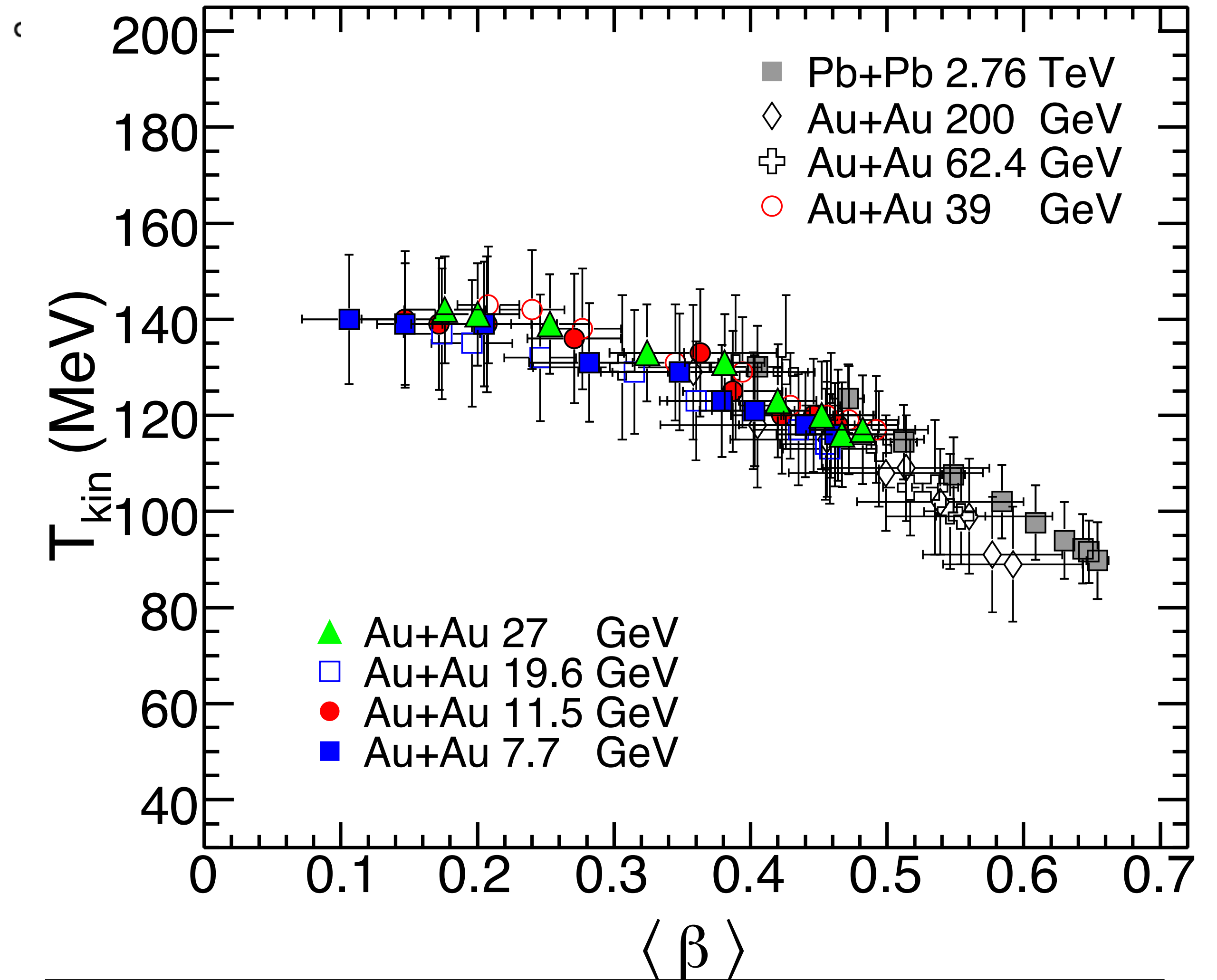
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