



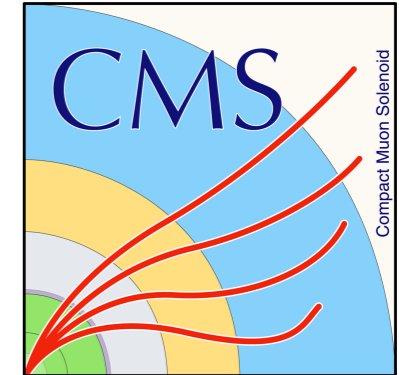
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GEFÖRDERT VOM

Bundesministerium
für Bildung
und Forschung



Measurement of the jet mass distribution in decays of boosted top quarks and the top quark mass with CMS

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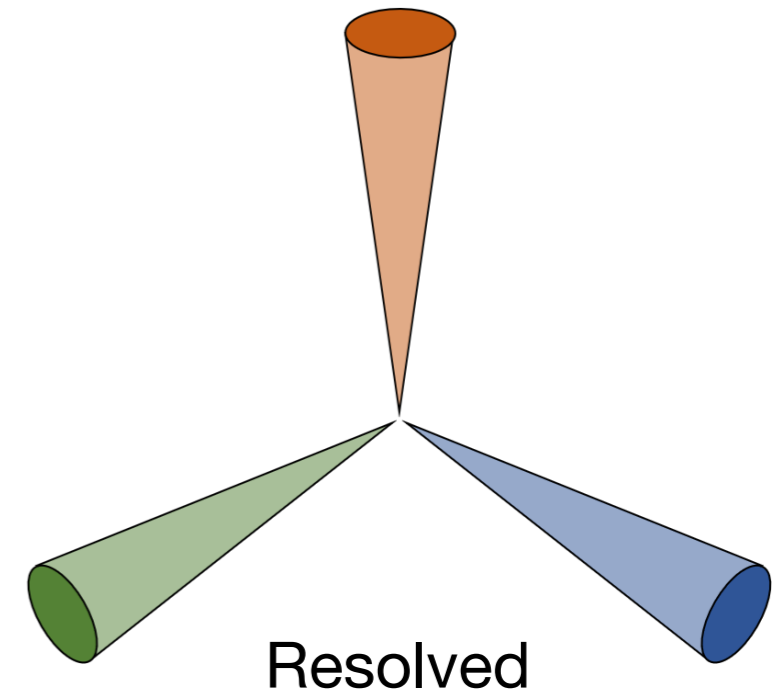


FSP CMS
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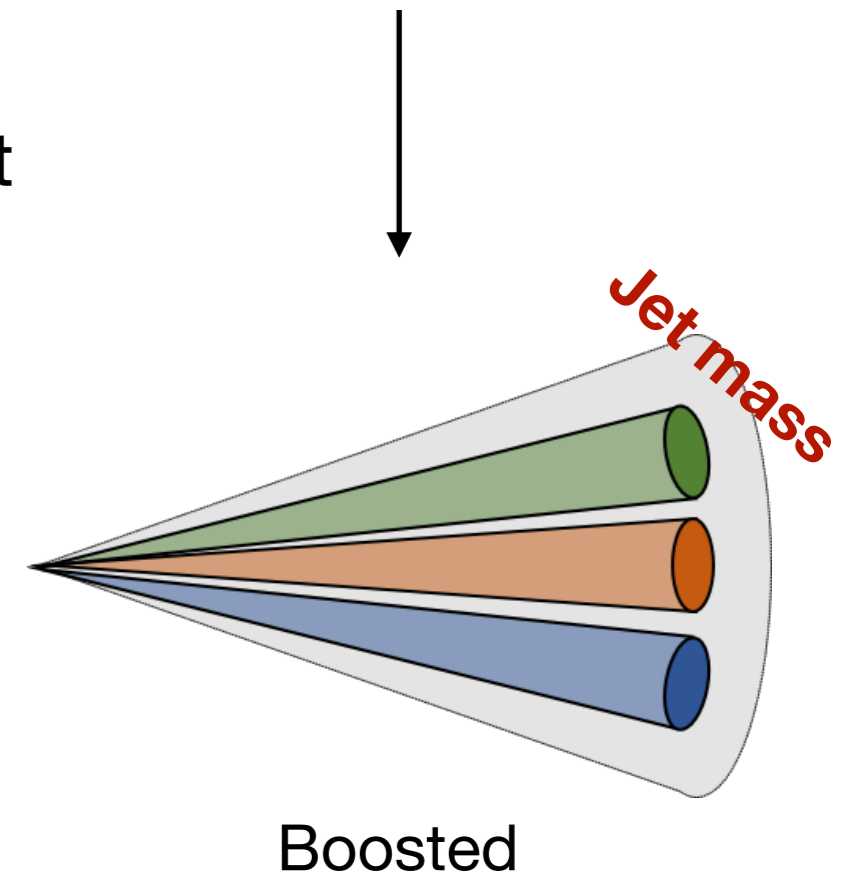
Direct measurements

- ▶ Reconstruct $t\bar{t}$ in resolved regime
- ▶ Reconstruct top mass \rightarrow Fit MC to data
- ▶ Most precise measurements of m_{top}

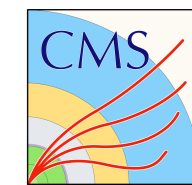


This approach

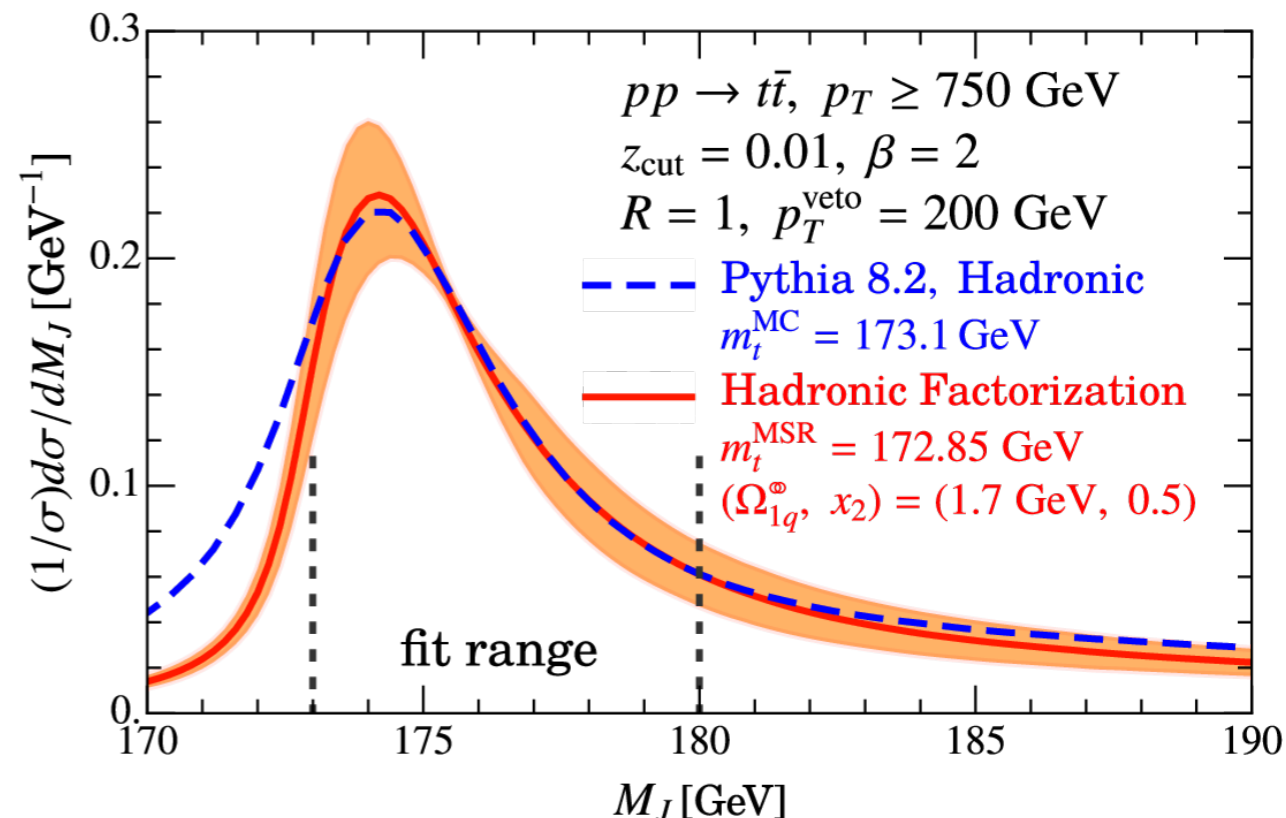
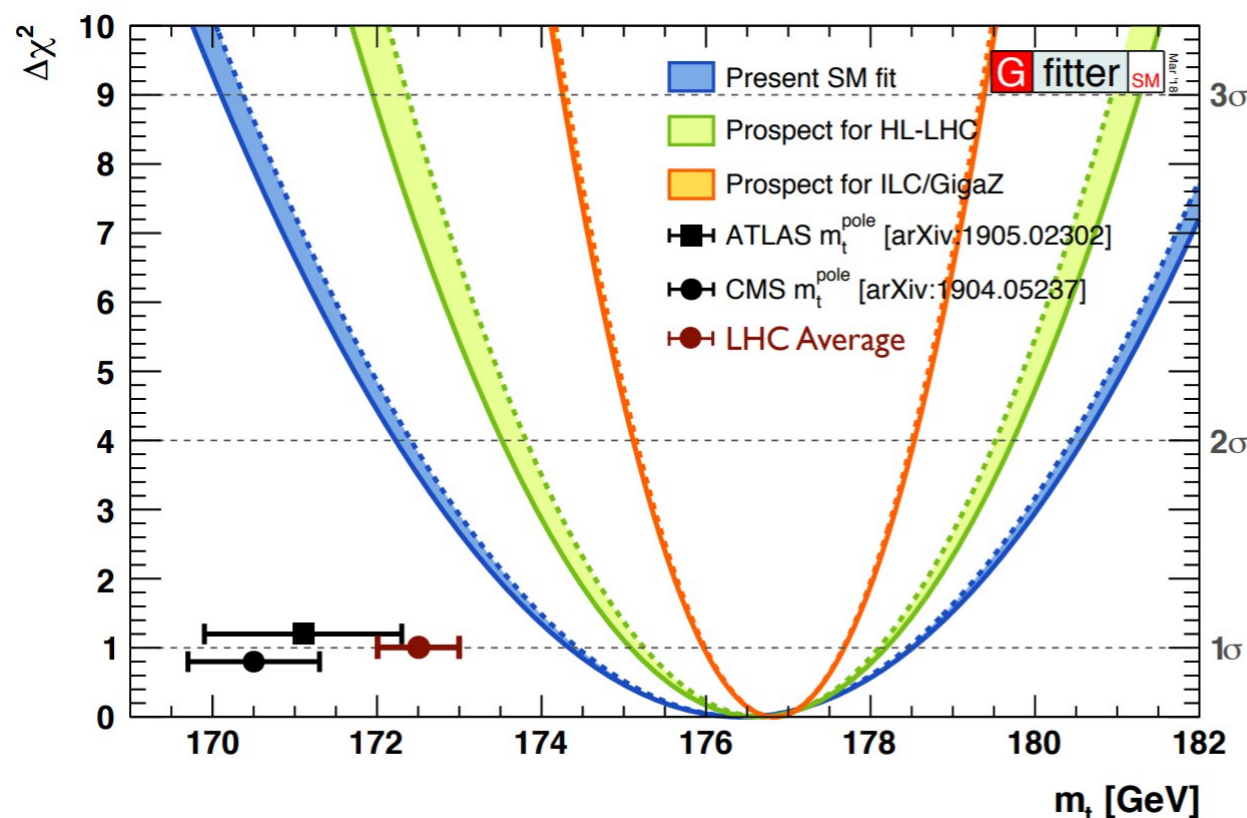
- ▶ Reconstruct hadronic top quark decay in single jet (Boosted regime)
- ▶ Measure jet mass: $m_{\text{jet}} = \sqrt{p_{\text{jet}}^2}$
- ▶ Unfold to particle level
- ▶ Aiming for analytic calculations



Why boosted top quarks?



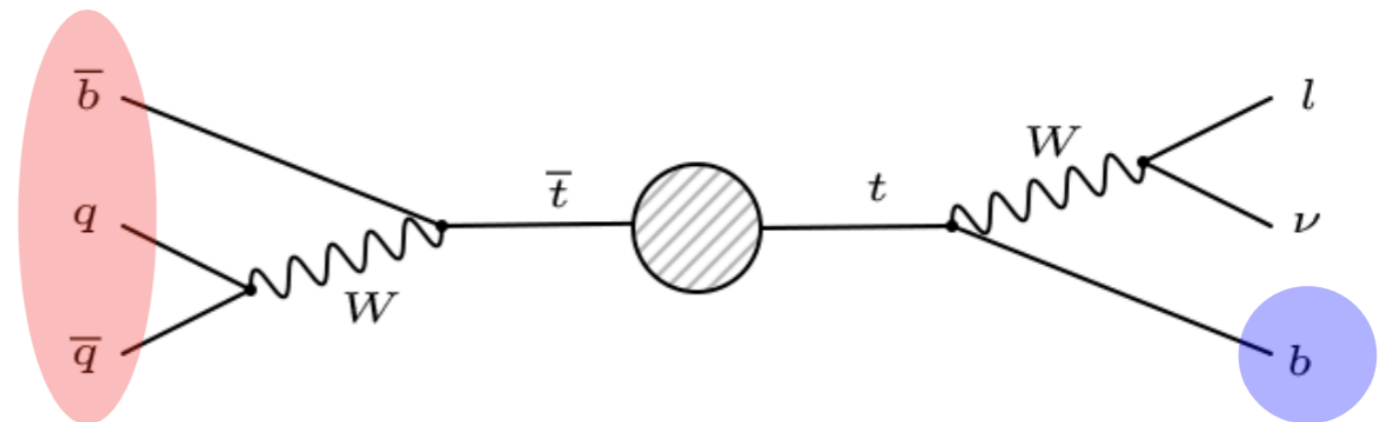
- ▶ Tension between predictions and measurements
- ▶ m_{top} measurements dominated by threshold production
 - Explore boosted regime
- ▶ Comparison to analytic calculations → Not relying on simulations
 - Phase-space not accessible yet



[A. H. Hoang et al., Phys.Rev.D 100 (2019) 7, 074021]

Aiming for $\ell + \text{jets}$ channel of $t\bar{t}$ events

- ▶ Use leptonic decay as a tag for $t\bar{t}$ events
- ▶ Exactly one lepton (μ or e)

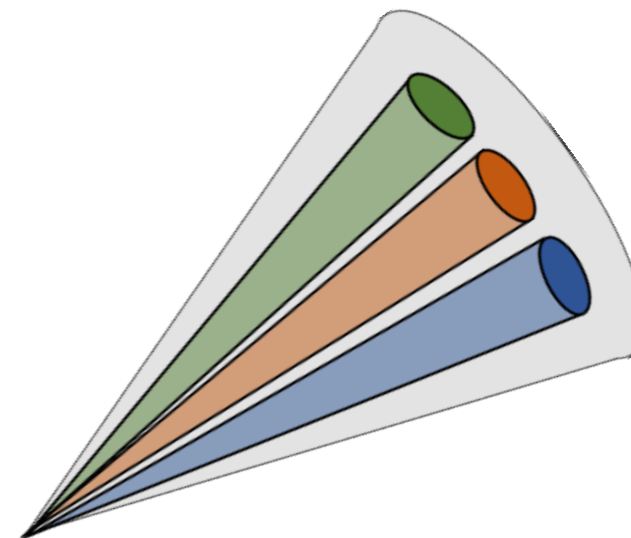


Select boosted top quarks

- ▶ $p_{T, \text{hadjet}} > 400 \text{ GeV}$

Suppress unmerged top quark decays

- ▶ $m_{\text{hadjet}} > m_{\text{lepjet}+\ell}$



Run I at $\sqrt{s} = 8$ TeV [\[EPJC volume 77, 467\]](#)

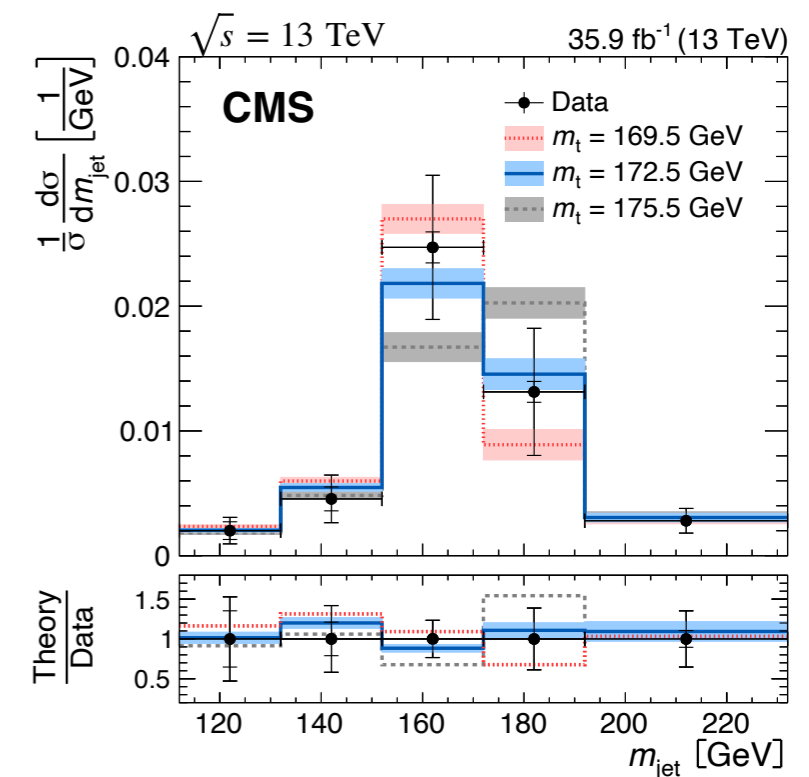
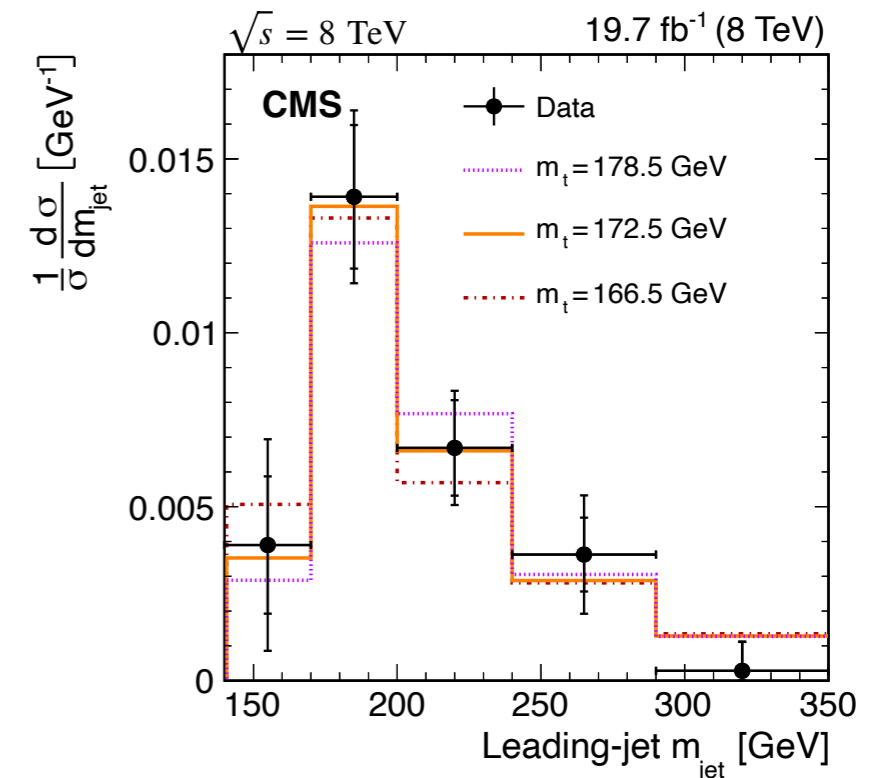
- ▶ Cambridge/Aachen with $R = 1.2$
- ▶ $m_{\text{top}} = 170.8 \pm 9.0$ GeV

Run II at $\sqrt{s} = 13$ TeV [\[Phys. Rev. Lett. 124, 202001\]](#)

- ▶ Only data from 2016
- ▶ X Cone jet algorithm
- ▶ $m_{\text{top}} = 172.6 \pm 2.5$ GeV

Now improve analysis with full Run II

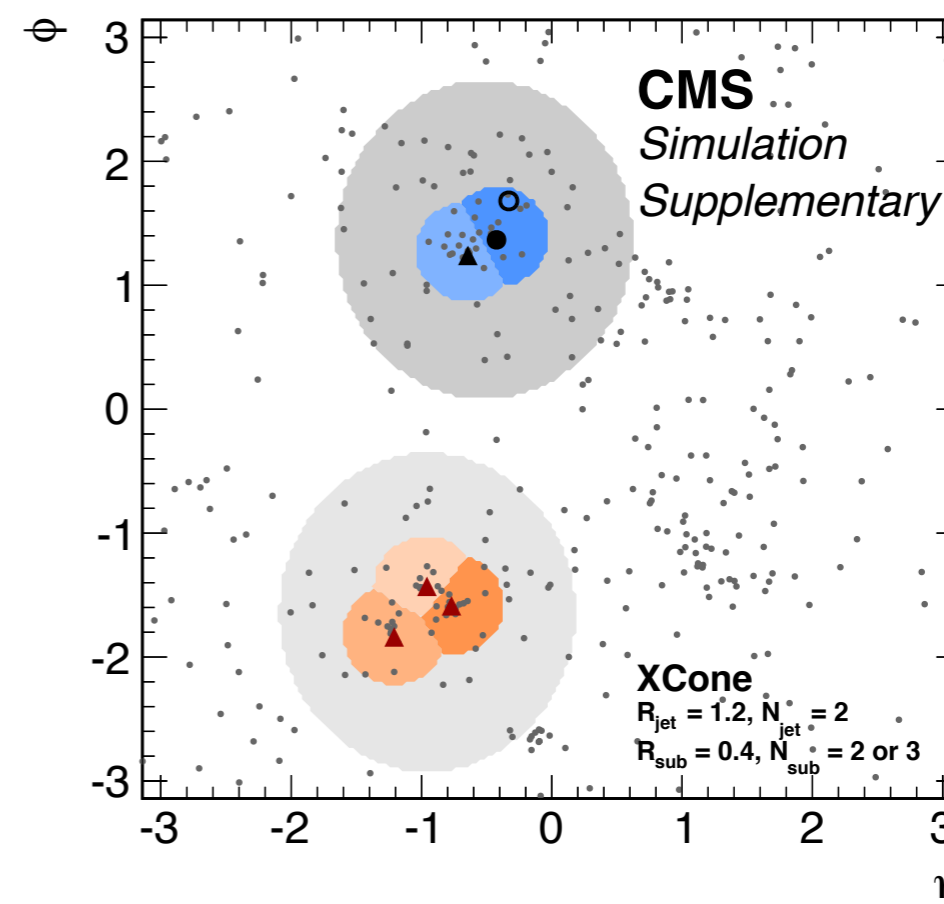
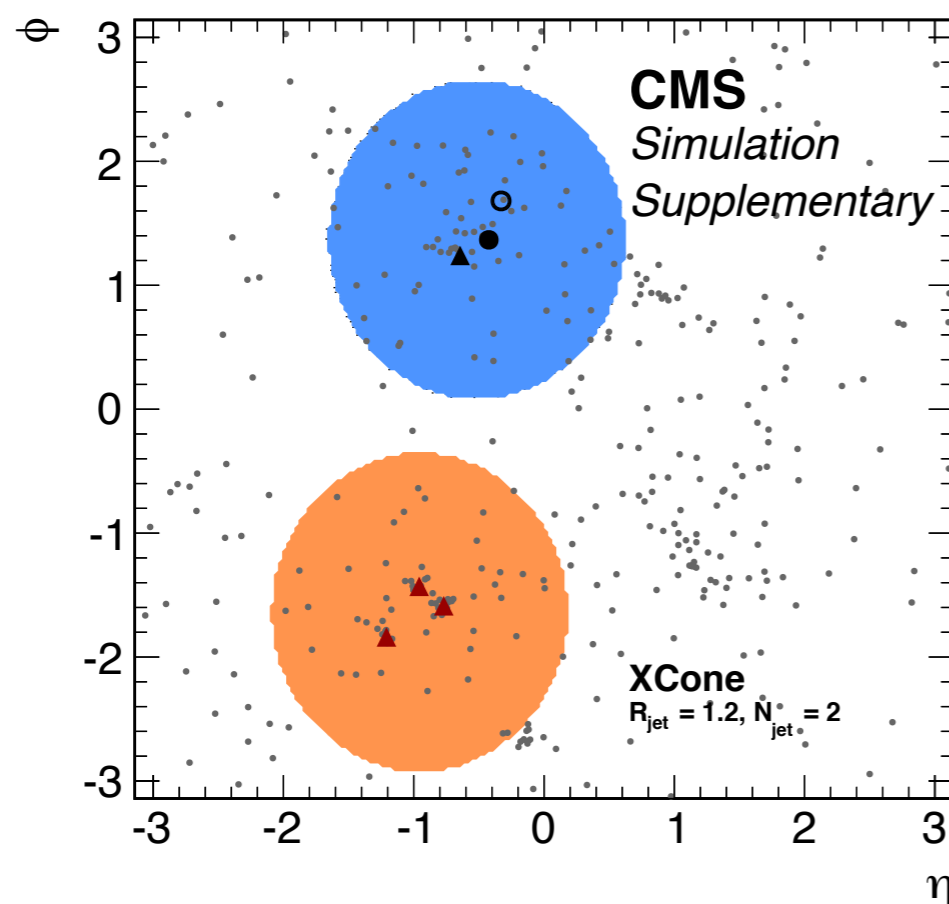
- ▶ Dedicated studies on dominant systematic uncertainties



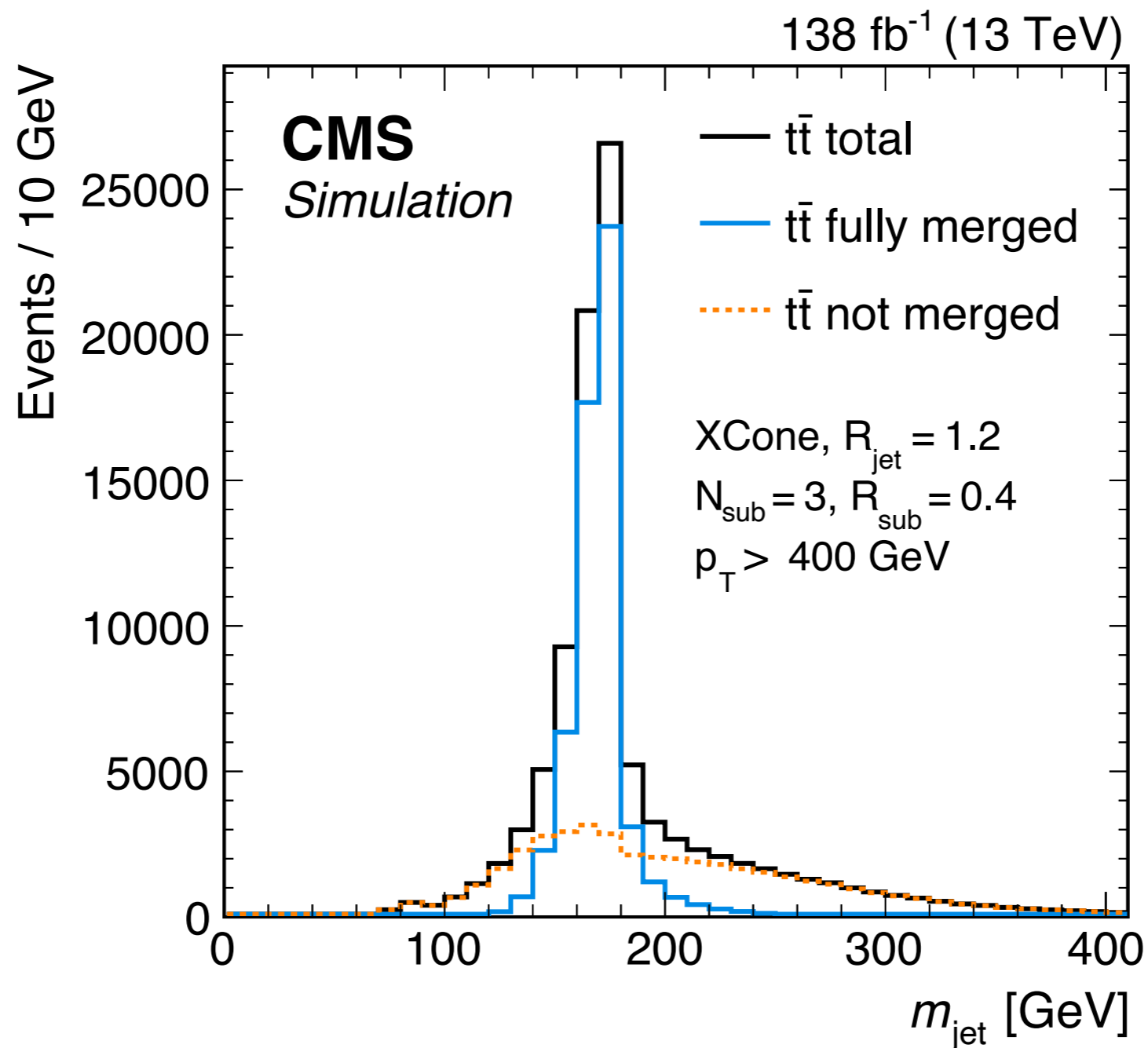
2-step clustering using XCone jet algorithm [\[JHEP 2015, 72\]](#)

- ▶ Cluster two jets with large radius
- ▶ Rerun clustering with $N = 3$ to find subjets
- ▶ Combine subjets to final jet

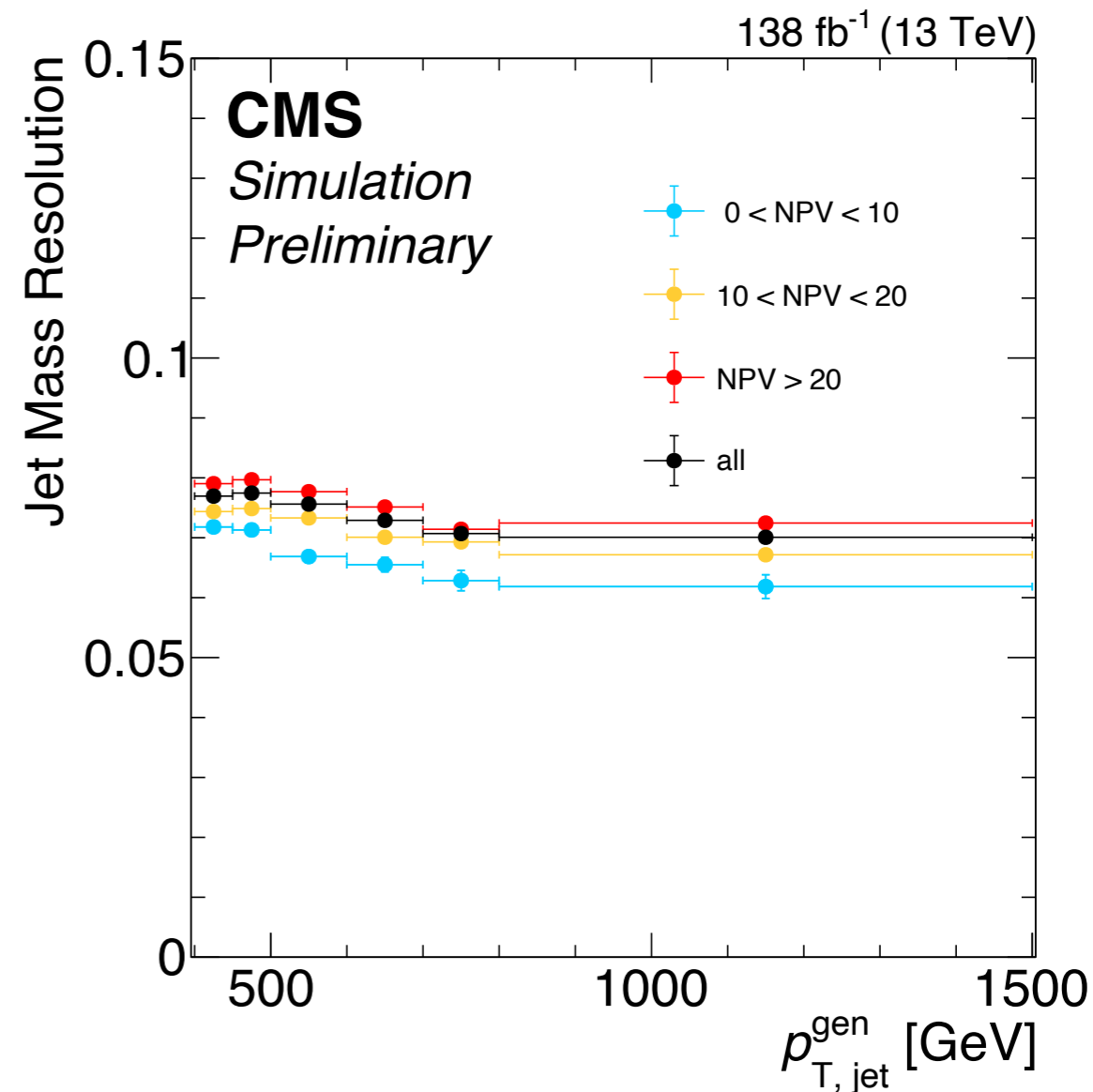
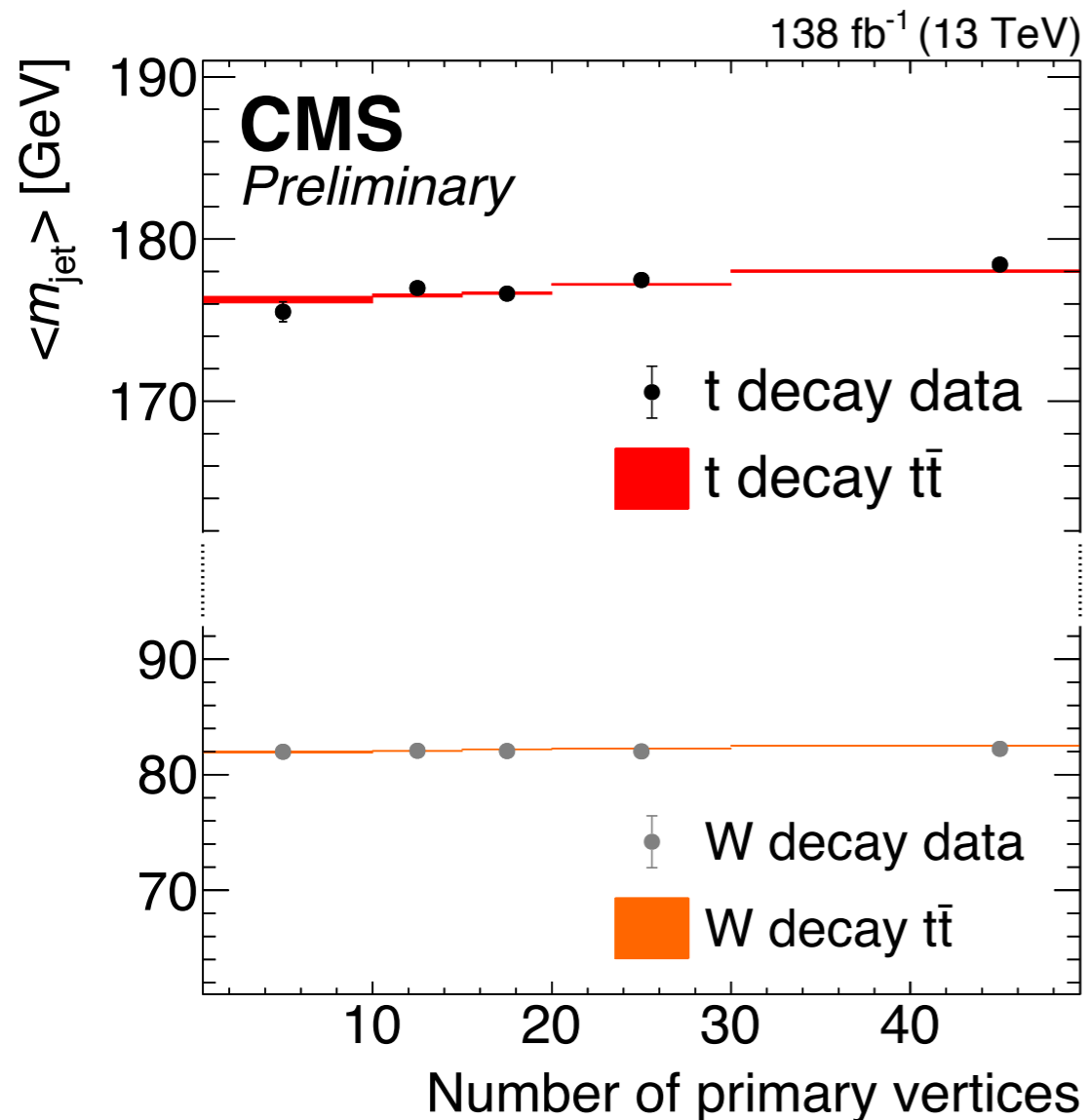
Dedicated corrections for the XCone subjects depending on η and p_T



Suppl. Material of [Phys. Rev. Lett. 124, 202001] , TOP-19-005



- ▶ Narrow peak close to m_{top}
- ▶ 75% of merged top quark decays in peak



- ▶ m_{jet} stable against PU
- ▶ Good agreement with MC

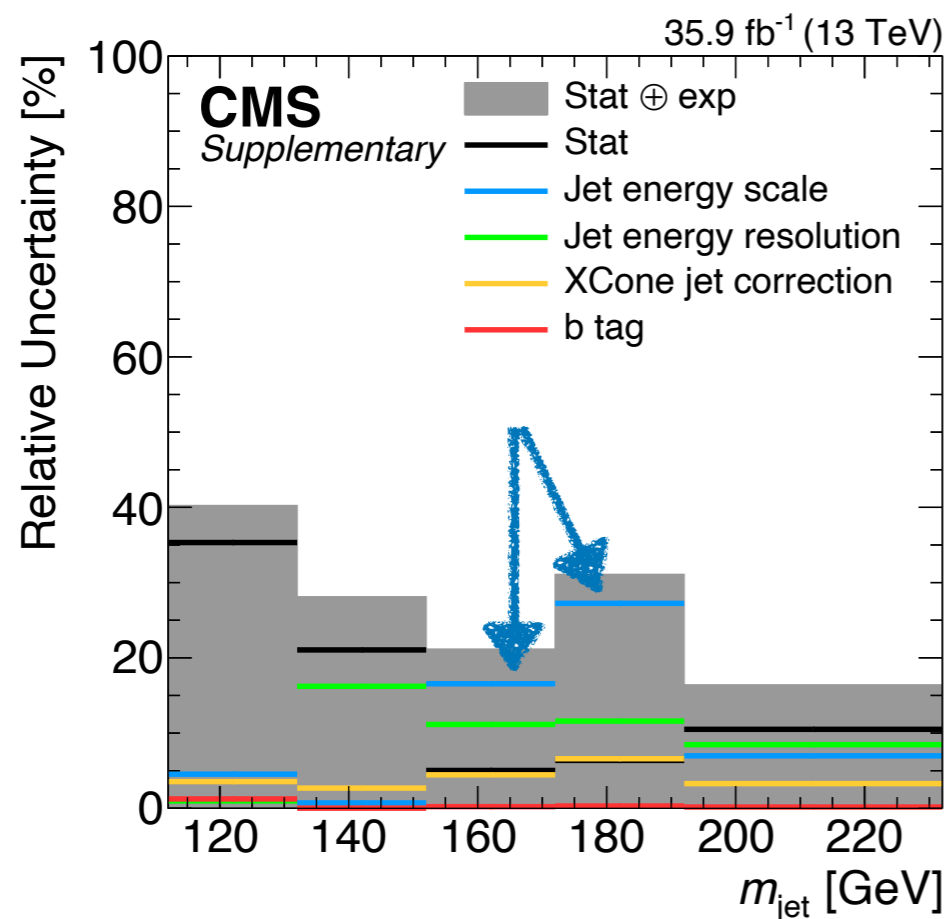
- ▶ m_{jet} resolution at 6-8%
- ▶ (14% for jet with $R = 1.2$)

Two dominant uncertainties in the measurement with 2016 data:

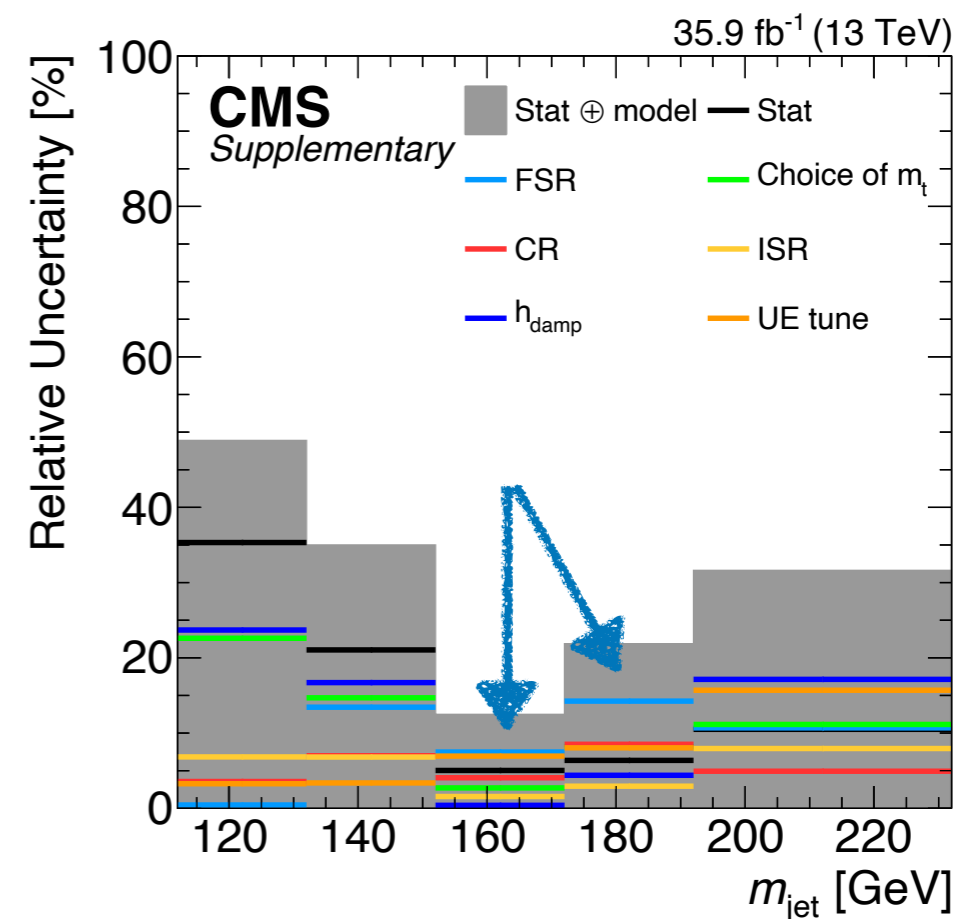
- ▶ Calibration of the JES (experimental), $\Delta m_{\text{top}} = 1.5 \text{ GeV}$
- ▶ Modeling of the FSR (modeling), $\Delta m_{\text{top}} = 1.2 \text{ GeV}$

Constrain both uncertainties for full Run II

Experimental uncertainties



Model uncertainties



Suppl. Material of [Phys. Rev. Lett. 124, 202001], TOP-19-005

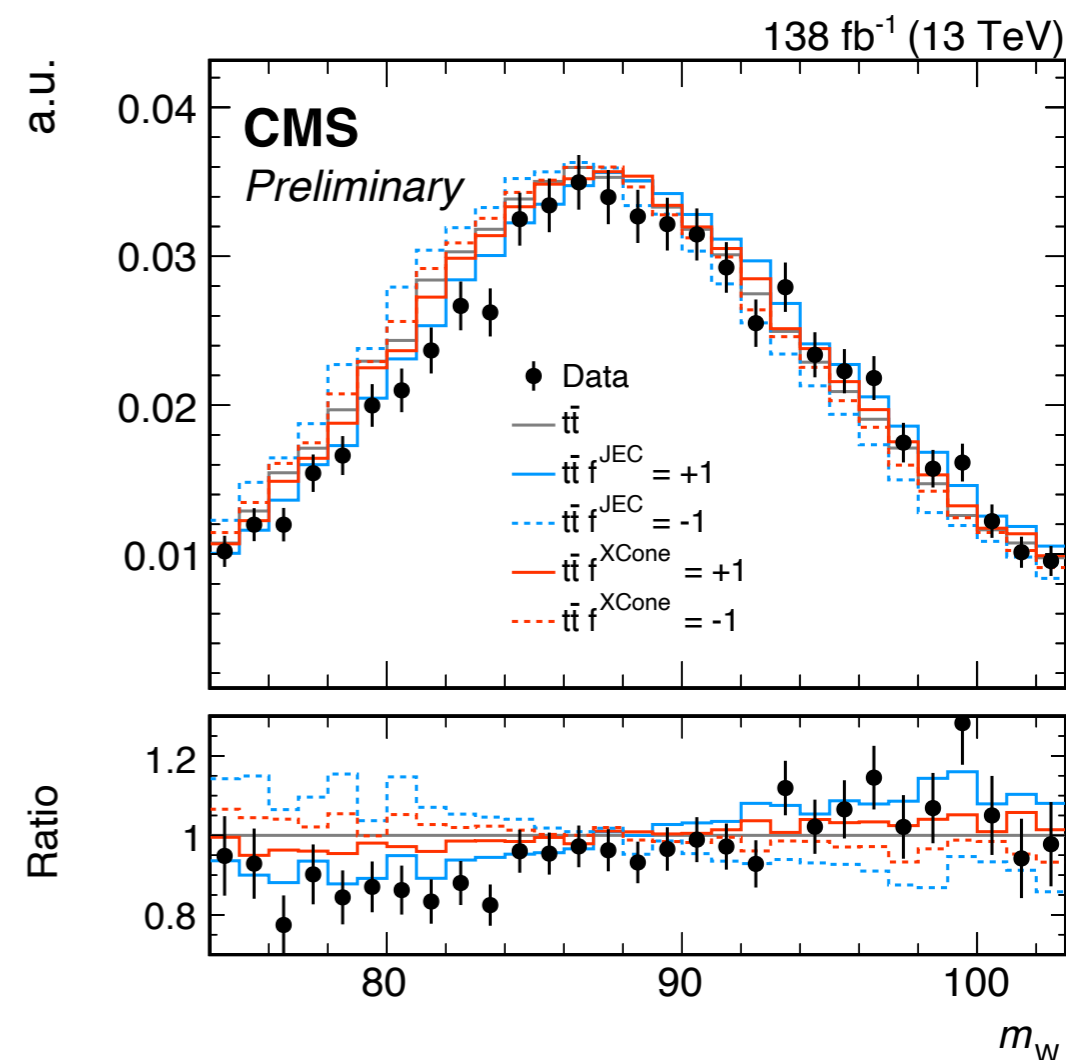
► **Before:** Jet mass scale estimated with jet energy scale

- JES derived from calibrations to jet p_T
- No calibration to jet mass yet

► **Now:** Measure JMS independently using m_W

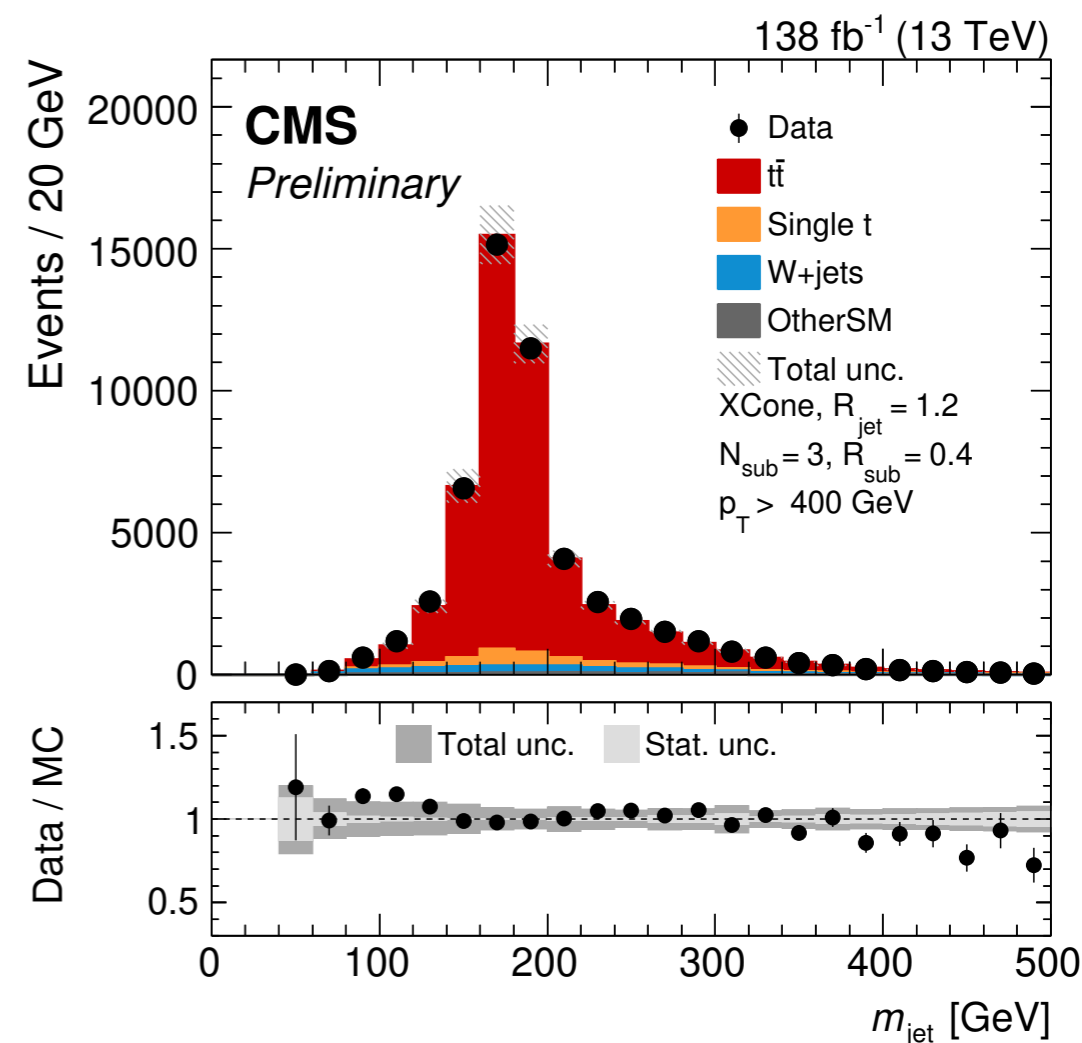
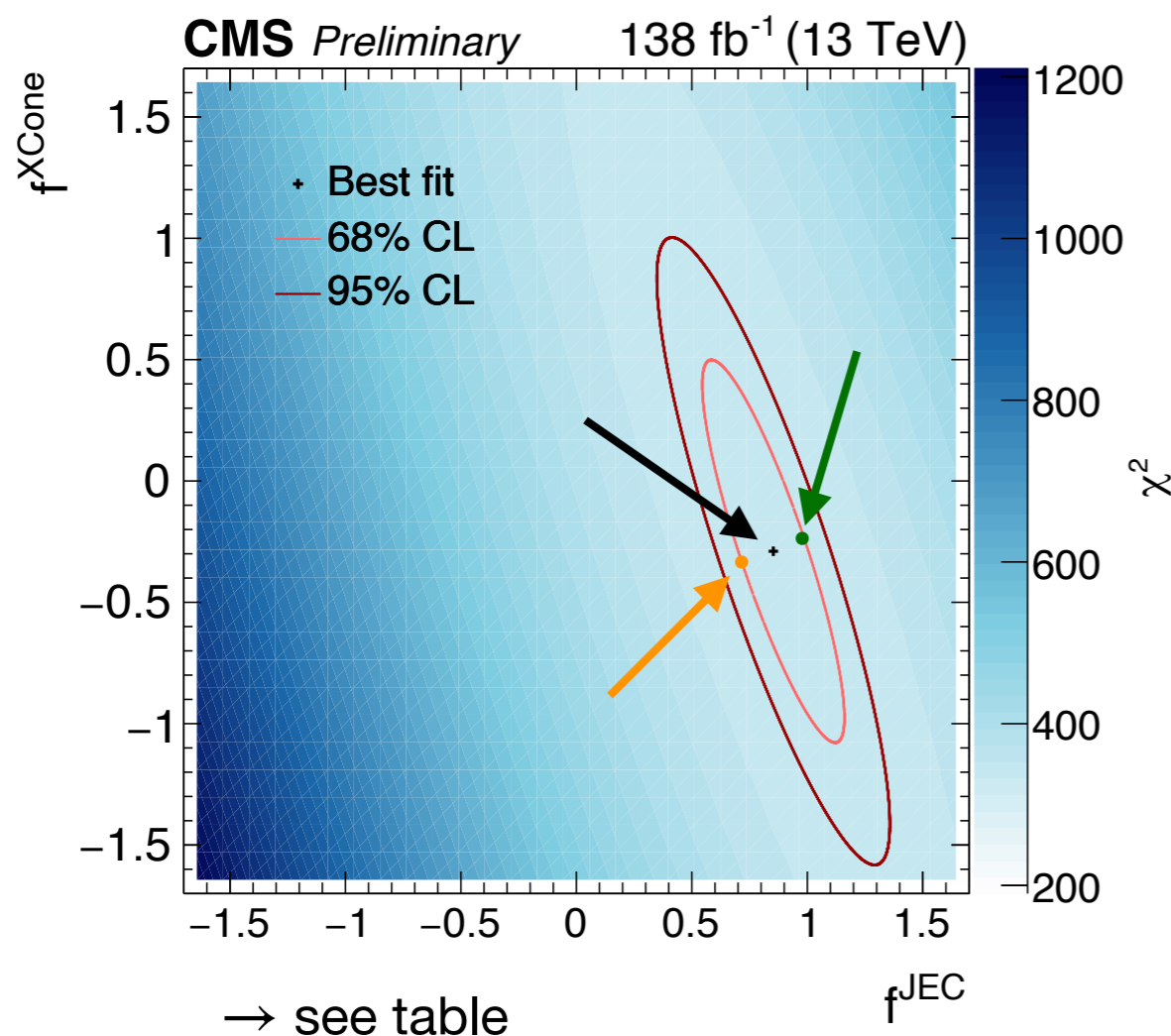
► Hadronic W decay reconstructed from X Cone subjects

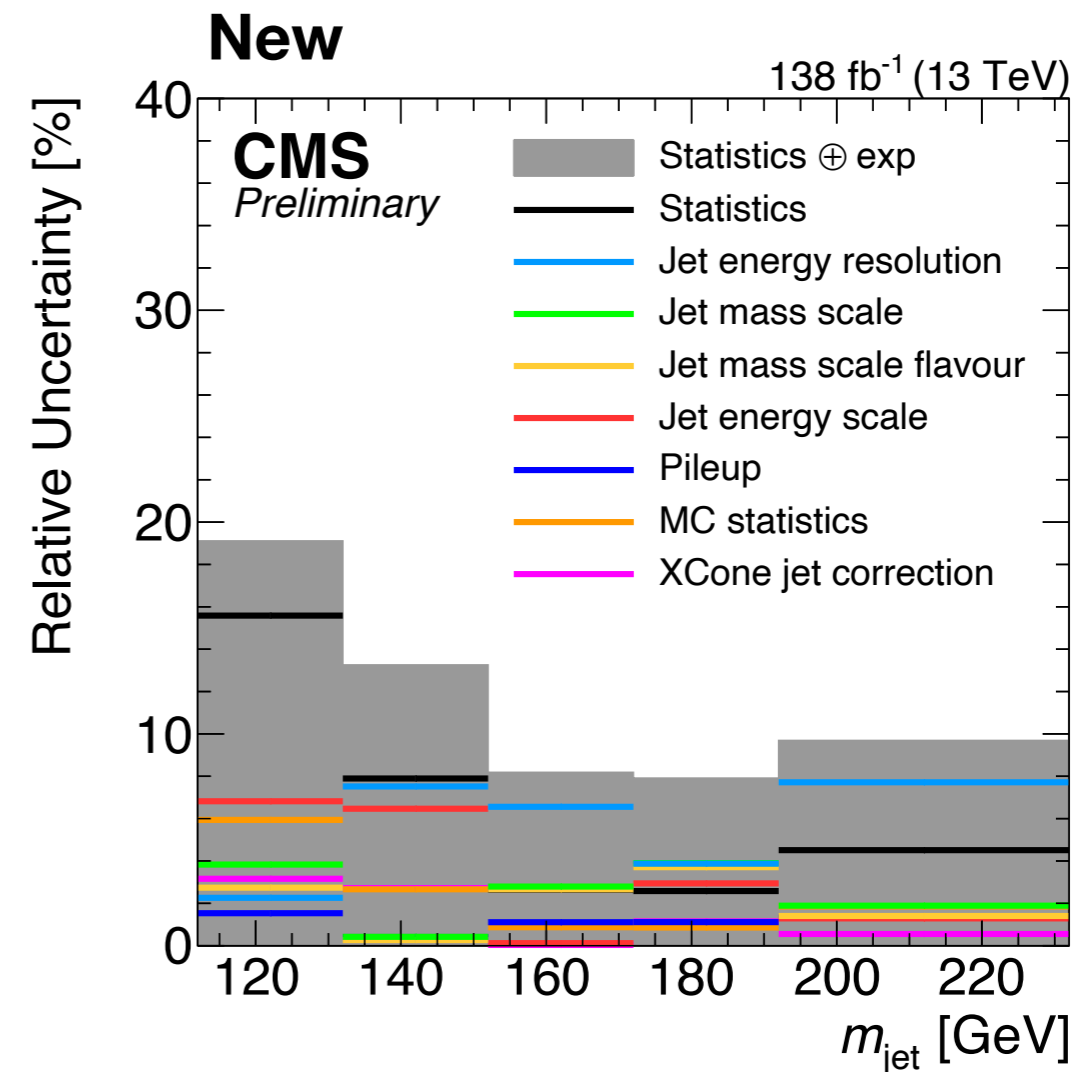
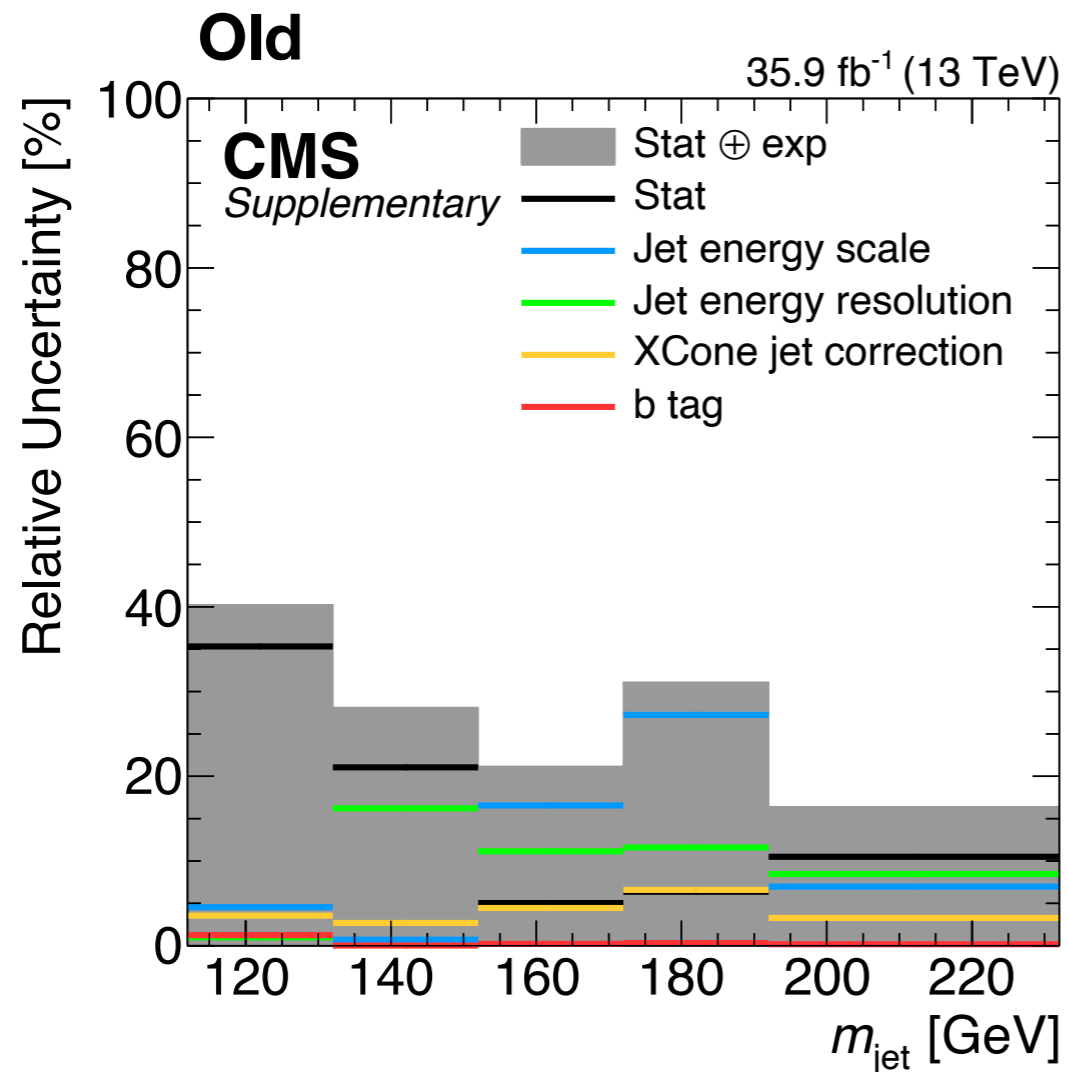
► Fit AK4 JES (f^{JEC}) and X Cone corrections (f^{XCone}) simultaneously



- ▶ Measure JMS with 2D χ^2
- ▶ Additional flavour uncertainty
 - Cover difference of light and b quarks

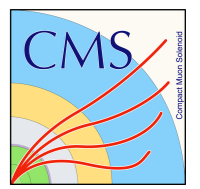
	$f_{\text{JEC}}^{\text{JMS}}$	$f_{\text{XCone}}^{\text{JMS}}$
Best	0.85	-0.29
Up	0.98	-0.24
Down	0.72	-0.34





- ▶ Now JES only affects p_T of the subjets
- ▶ Introduce jet mass scale as separate uncertainty
- ▶ $\Delta m_t(\text{JES}) = 1.5 \rightarrow \Delta m_t(\text{JES} + \text{JMS} + \text{flavour}) = 0.39 \text{ GeV}$

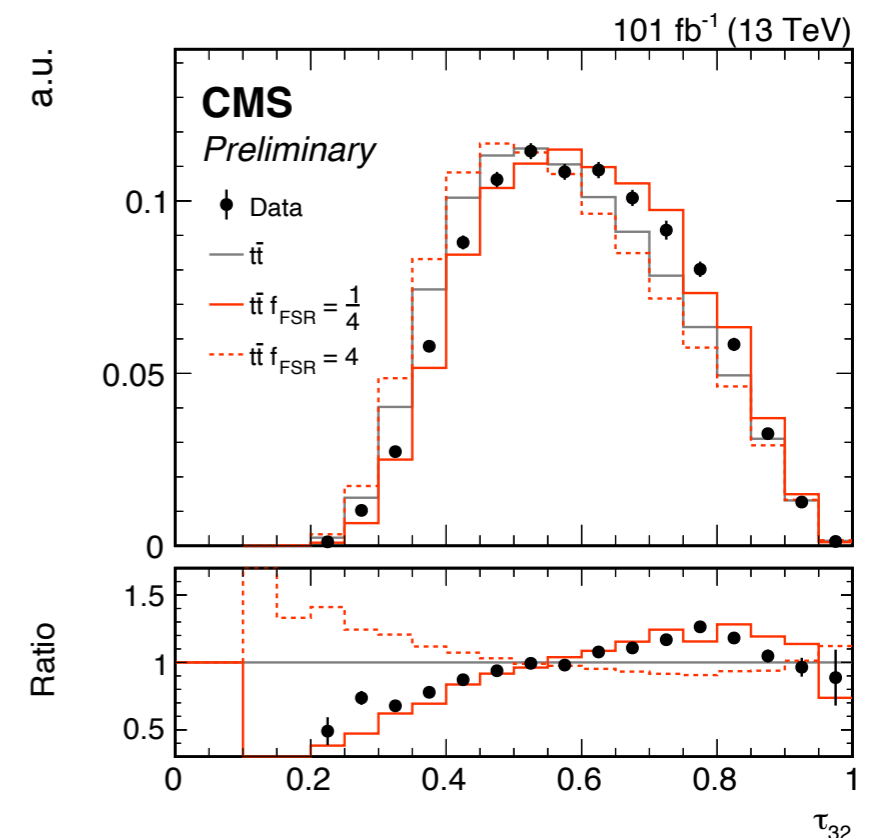
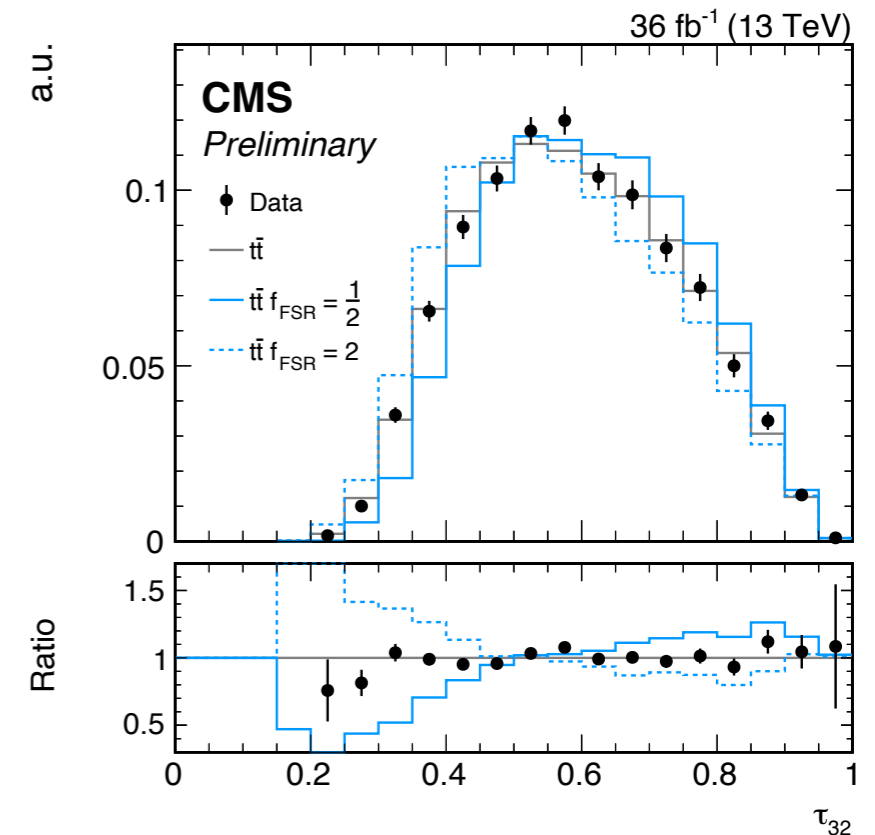
Calibration of FSR modeling

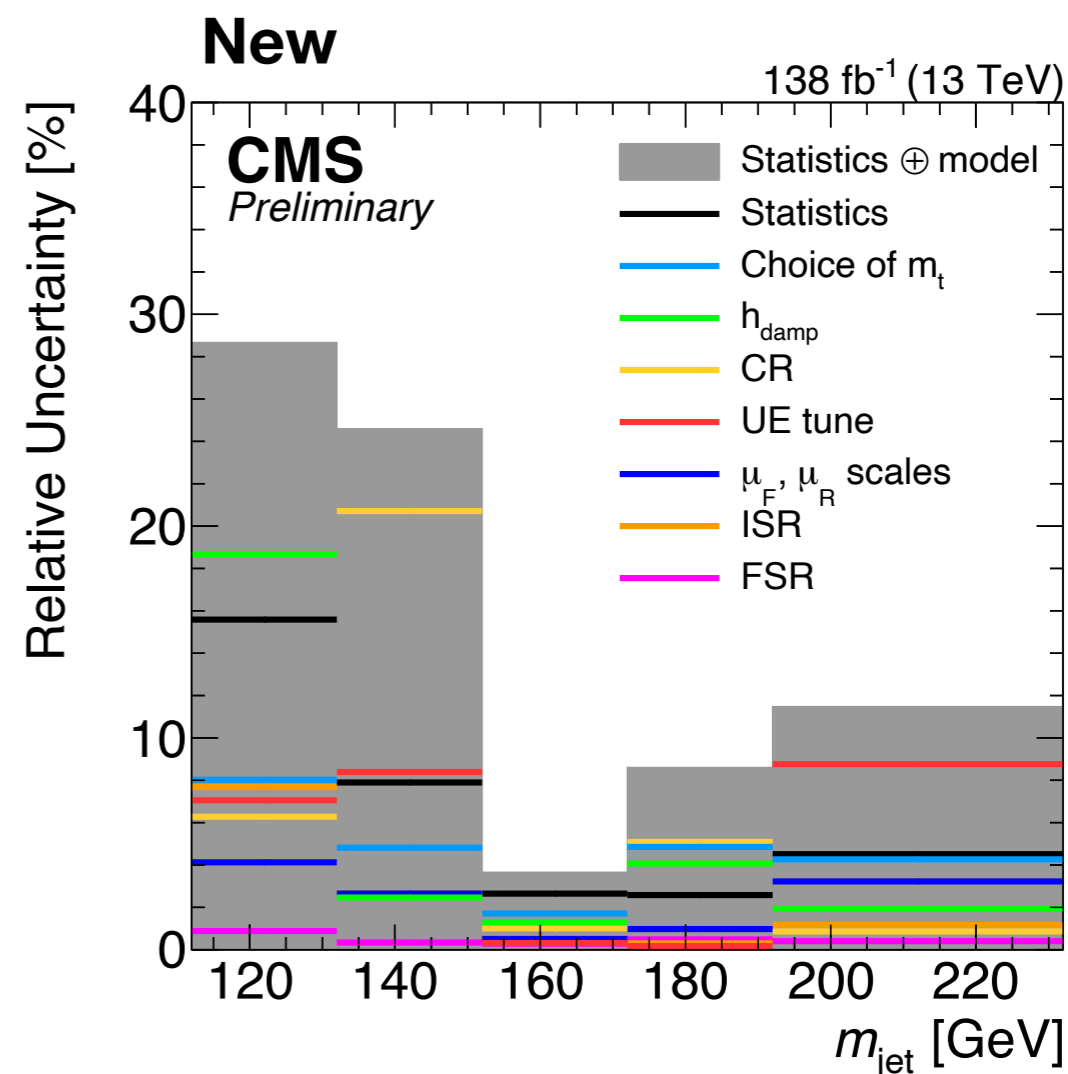
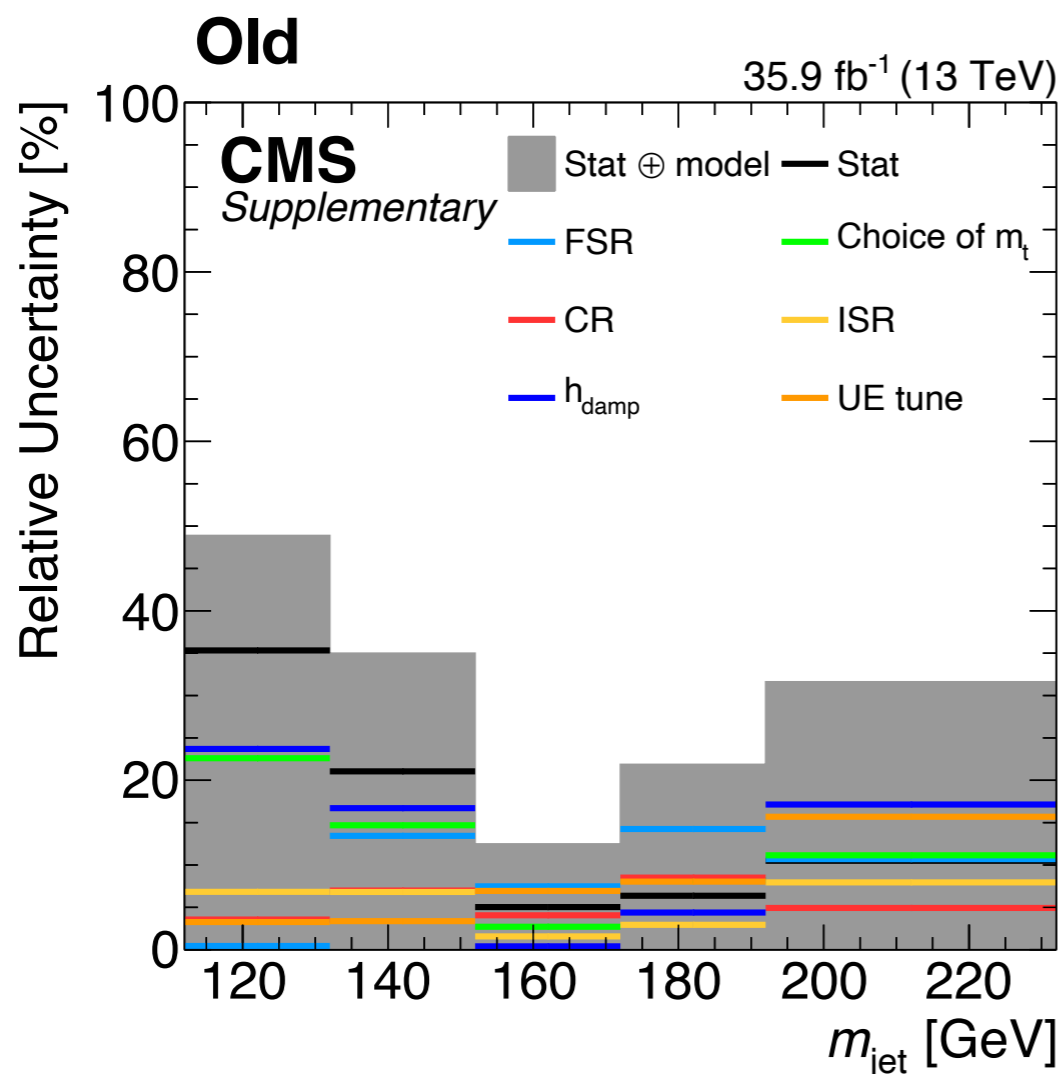


- ▶ FSR scale steers strong coupling for additional radiation with $\alpha_S(f_{\text{FSR}} \cdot \mu_0)$
- ▶ **Before:** Estimate FSR scale with $f_{\text{FSR}} \in \{\frac{1}{2}, 2\}$
- ▶ **Now:** Dedicated calibration of FSR scale
- ▶ Jet substructure observable τ_{32} sensitive to additional radiation
- ▶ Split datasets into **2016** and **2017+2018**
 - Different tune in $t\bar{t}$ simulation

$$f_{\text{FSR}}^{2016} = 0.97 \pm 0.07$$

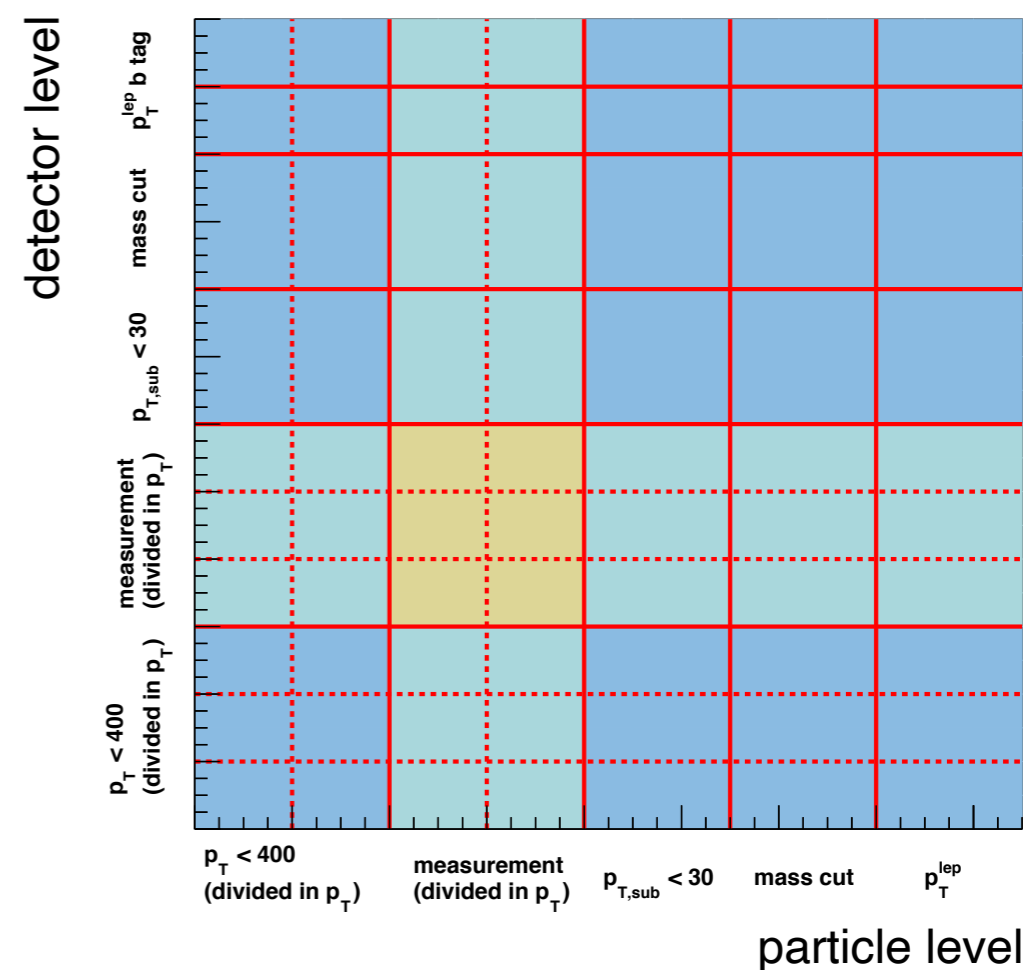
$$f_{\text{FSR}}^{2017+2018} = 0.33 \pm 0.02$$

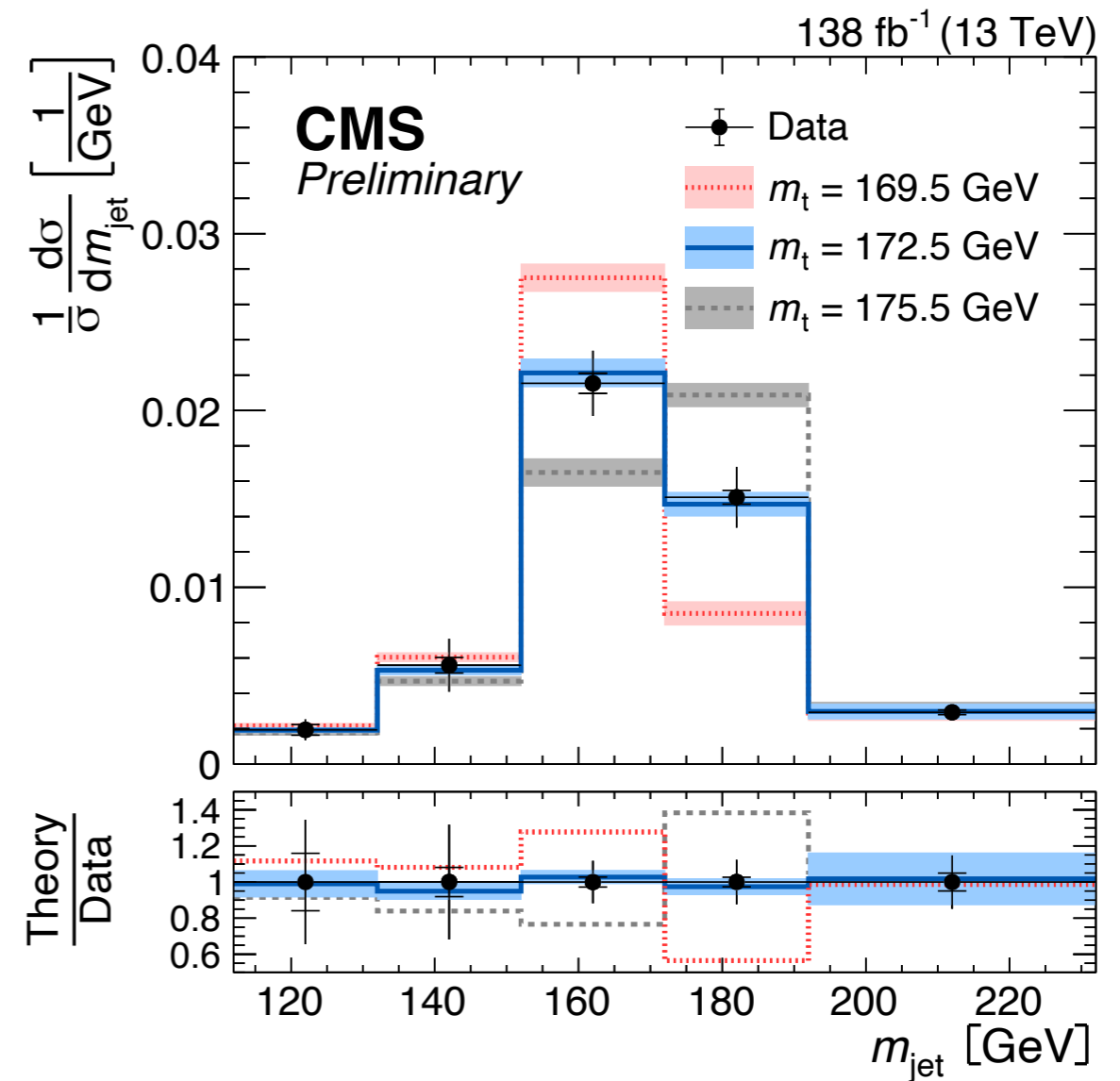
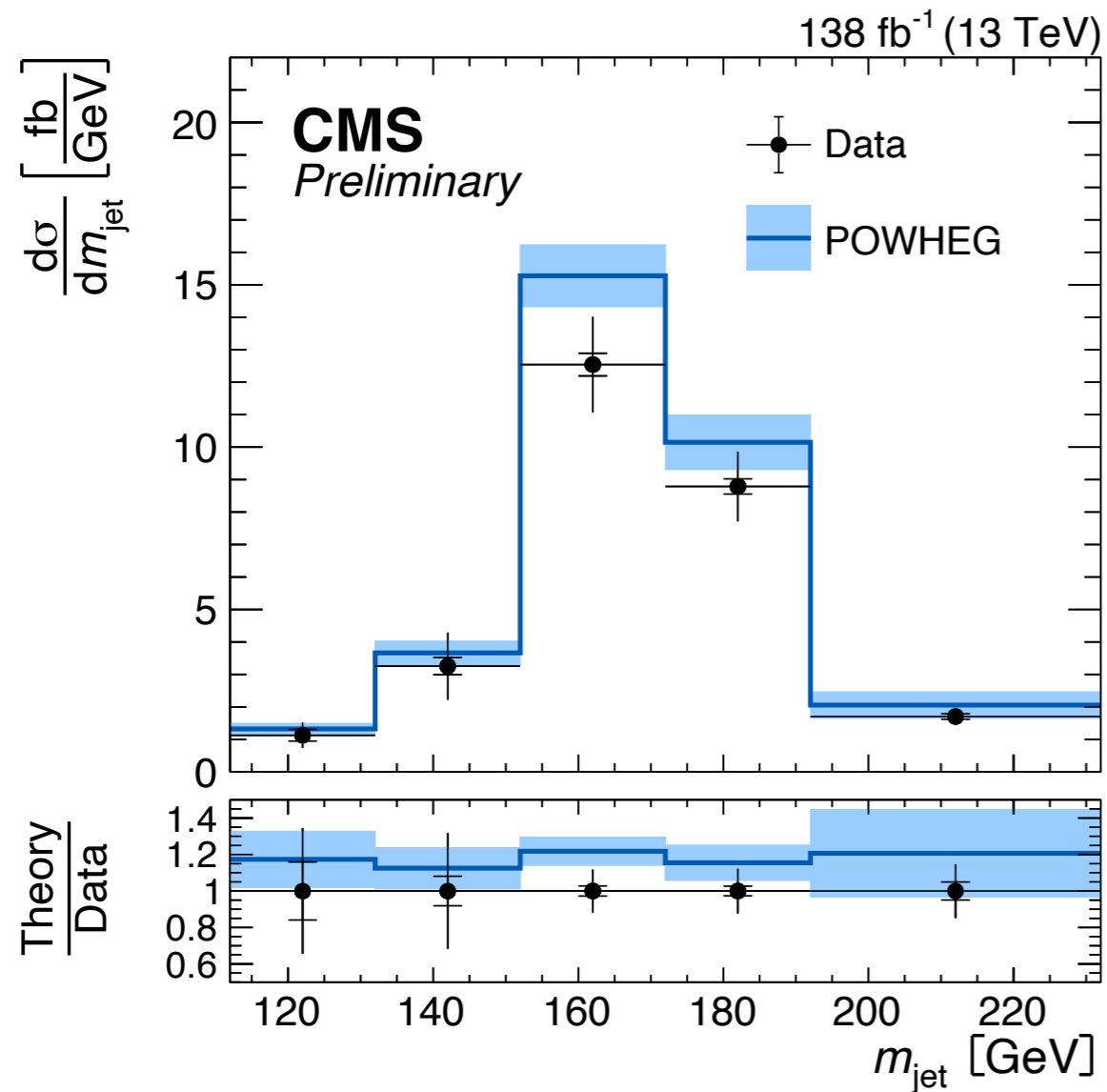




- ▶ Uncertainty from the modeling of the FSR is drastically reduced
- ▶ Similar values of $\alpha_S^{\text{FSR}}(M_Z)$ for both tunes
- ▶ $\Delta m_t(\text{FSR}) = 1.5 \rightarrow \Delta m_t(\text{FSR}) = 0.02 \text{ GeV}$

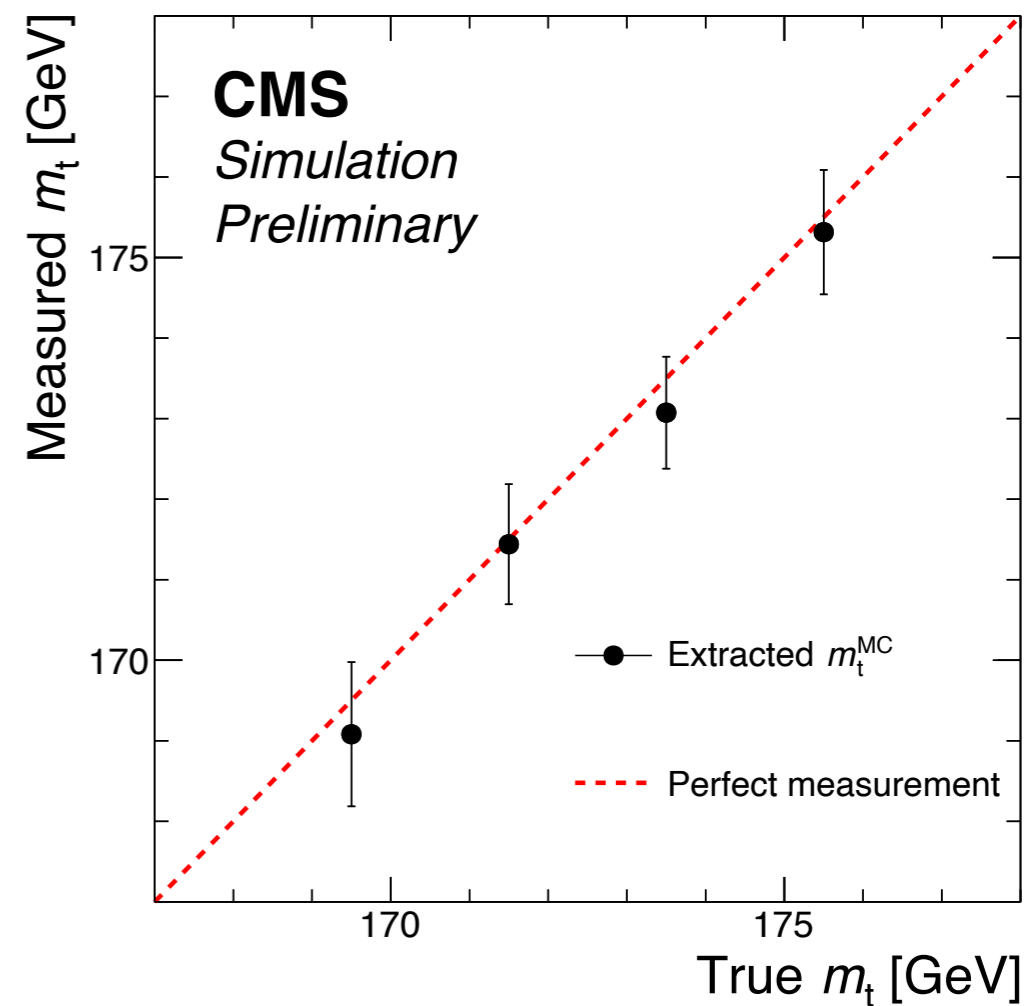
- ▶ Regularized unfolding using TUnfold
- ▶ Response matrix constructed constructed with POWHEG $t\bar{t}$
- ▶ Construct multiple sideband regions by lowering selection threshold
 - 200 bins on detector level
 - 72 bins on particle level





- ▶ Differential cross section as a function of m_{jet}
- ▶ Extract m_{top} from normalized distribution

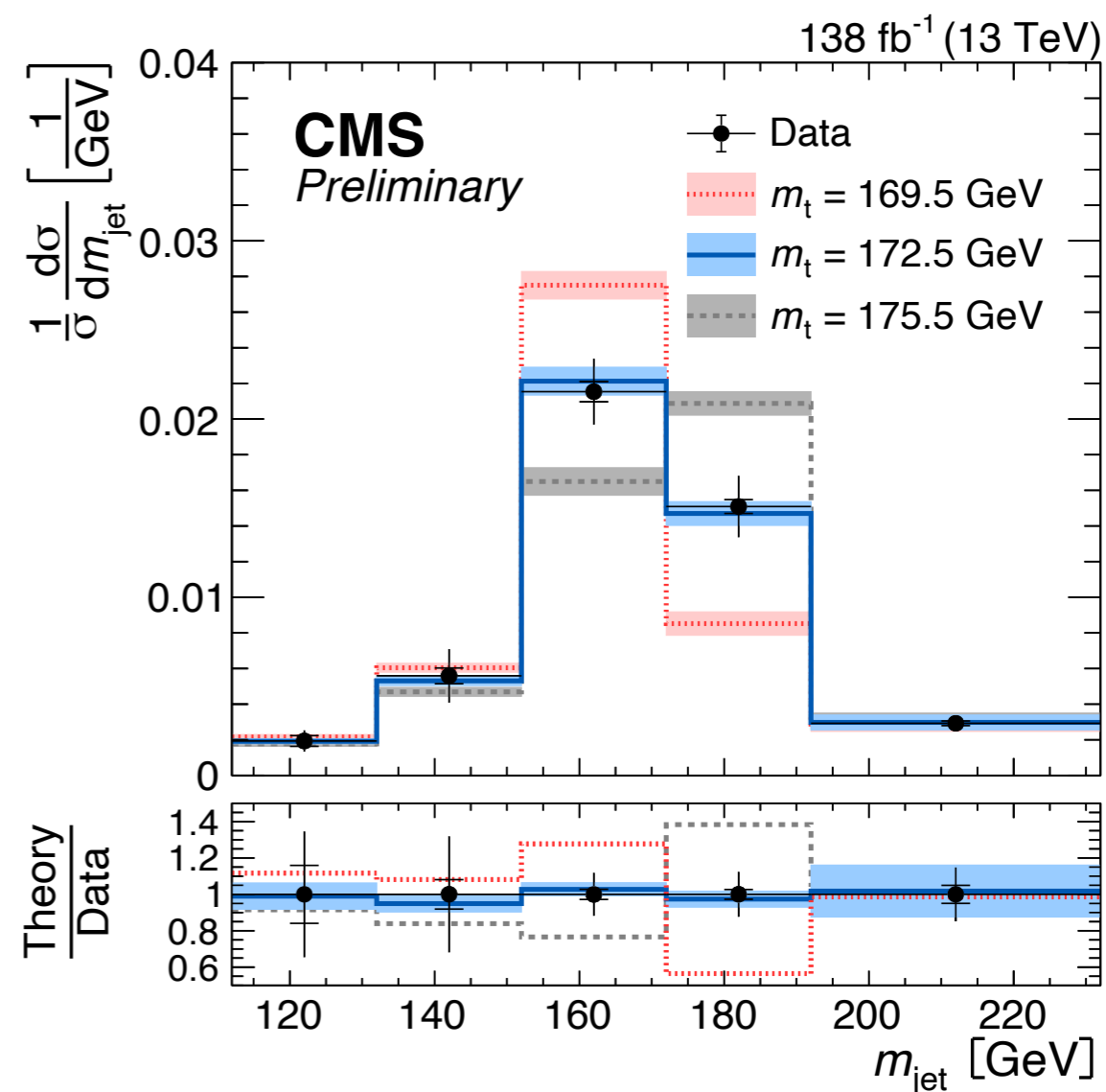
- ▶ Test extraction with simulated samples
- ▶ Good agreement between true value and measurement
- ▶ Continue with real data



$$m_{\text{top}} = 172.76 \pm 0.81 \text{ GeV}$$

► Main uncertainties:

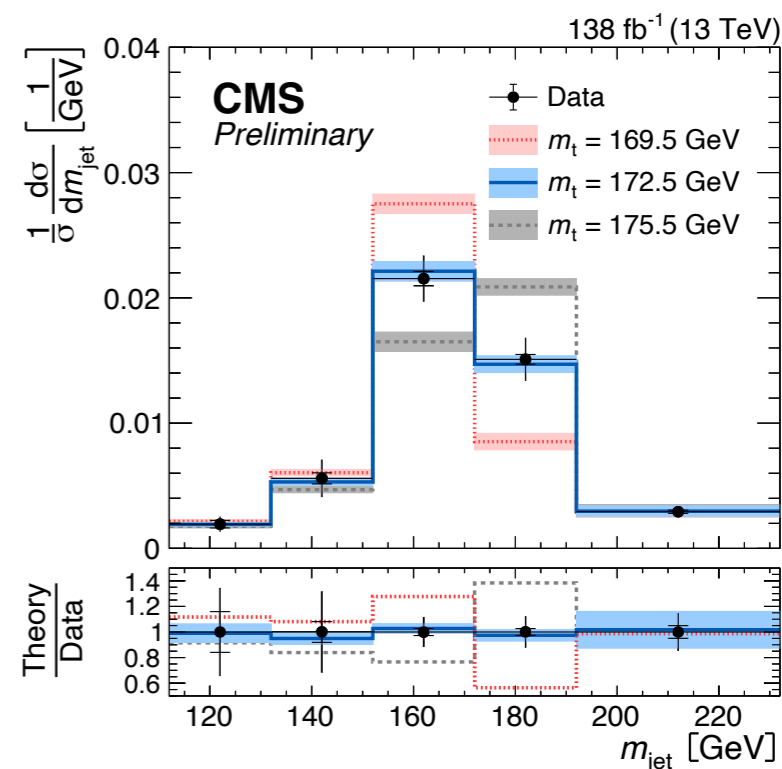
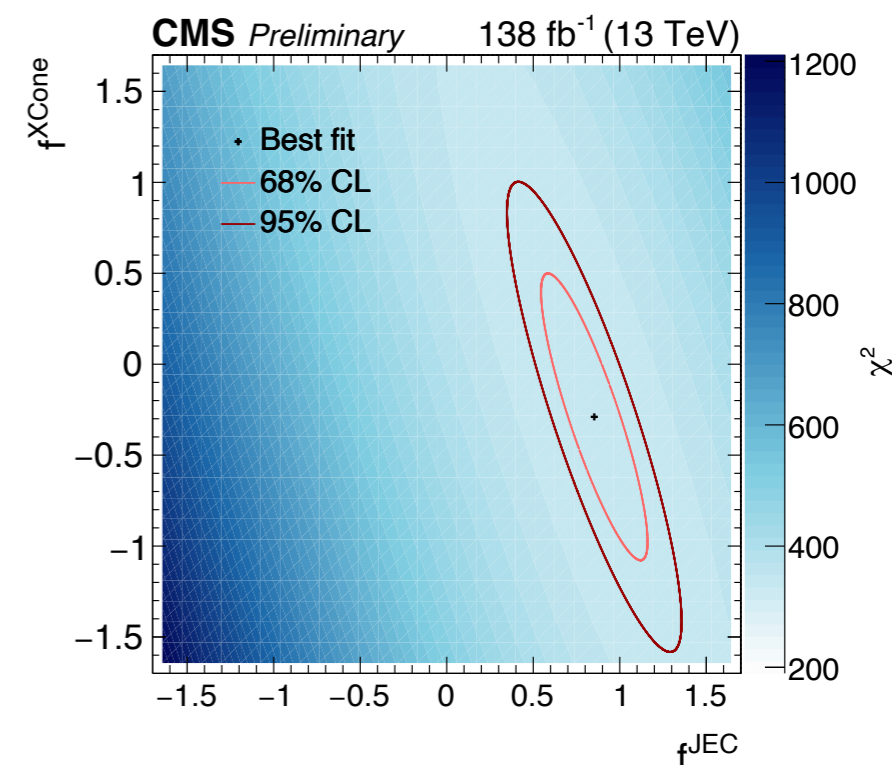
Source	Uncertainty [GeV]
Statistical uncertainty	0.22
Experimental uncertainty	0.57
JER	0.40
JMS	0.27
JMS flavour	0.27
JES	0.10
Model uncertainty	0.48
Choice of m_{top}	0.37
CR	0.19
h_{damp}	0.19
FSR	0.02



- ▶ Measured jet mass distribution in decays of boosted top quarks with the full Run-2 data set
- ▶ Drastically reduced dominant uncertainties of an earlier measurement
 - Calibration of the jet mass scale
 - Modeling of the final state radiation
- ▶ Increased precision of m_{top} from 2.5 GeV to below 1 GeV

$$m_{\text{top}} = 172.76 \pm 0.81 \text{ GeV}$$

- ▶ [CMS-PAS-TOP-21-012](#) now public
- ▶ Hope to compare to analytic calculations soon



Additional Material

- ▶ **CPETP8M2T4** describes data better than **CP5**
- ▶ After calibration $\alpha_S^{\text{FSR},2016} \sim \alpha_S^{\text{FSR},2017+2018}$
- ▶ From original tune:

$$\alpha_S^{\text{FSR},\text{CPETP8M2T4}} = 0.1365$$

$$\alpha_S^{\text{FSR},\text{CP5}} = 0.118$$

	Tune	$f_{\text{best}}^{\text{FSR}}$	$\alpha_S^{\text{FSR}}(m_Z^2)$
2016	CPETP8M2T4	0.97 ± 0.07	$0.1373^{+0.0017}_{-0.0018}$
2017+2018	CP5	0.33 ± 0.02	$0.1416^{+0.0018}_{-0.0019}$