

# PSEUDO-GOLDSTINI IN FIELD THEORY

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# PLAN OF THE TALK

- Mediation of SUSY breaking: reminder
- Goldstino and its interactions
- Multiple susy breaking sectors
- Goldstino and Pseudo-Goldstino
- Pseudo-Goldstino in Gauge Mediation
- Pseudo-Goldstino mass
- Phenomenology and Conclusions

# MEDIATION OF SUSY BREAKING

- MSSM is a promising candidate for BSM physics
- Supersymmetry must be softly broken in the MSSM
- Standard paradigm: mediation mechanism

## MEDIATION OF SUSY BREAKING



- ▶ Hidden sector with spontaneous (dynamical) susy breaking (scale  $\Lambda_{susy} \equiv \sqrt{F}$ )
- ▶ Visible sector MSSM with gauge group  $G_{SM}$
- ▶ Interactions lead to soft terms in the MSSM, e.g. mass  $m_{soft}$  to sparticles

# GAUGE VS GRAVITY MEDIATION

## GRAVITY MEDIATION

- Soft terms as Planck suppressed operators
- $m_{soft} \sim \frac{\Lambda_{susy}^2}{M_{Pl}}$
- $\Lambda_{susy} \sim 10^{10-11} GeV$
- **Hard predictivity, can lead to FCNC**

## GAUGE MEDIATION

- Typically messengers field charged under  $G_{SM}$  and with mass  $M$
- Soft terms via loops of SM gauge fields and messenger fields
- $\Rightarrow m_{soft} \sim \frac{g^2}{16\pi^2} \frac{\Lambda_{susy}^2}{M}$
- (Generically  $M$  is a supersymmetric scale s.t.:  $\Lambda_{weak} \ll M \ll M_{Pl}$ )
- **Calculable model, Flavour blind,  $\mu/B_\mu$  problem, ...**

- What do we know about hidden sector?
- Spontaneous susy breaking  $\Rightarrow$  Massless fermion **Goldstino**
- Eaten via superHiggs mechanism:  $m_{3/2} \sim \frac{F}{M_{Pl}}$

## GAUGE MEDIATION

$$m_{3/2} \ll m_{soft}$$

## GRAVITY MEDIATION

$$m_{3/2} \simeq m_{soft}$$

- Very light gravitino behaves like a Goldstino
- Interactions with MSSM are fixed by supersymmetry

# GOLDSTINO COUPLINGS

- Goldstino can be described as constrained superfield Komargodski, Seiberg '10

$$X_{NL}^2 = 0 \quad \Rightarrow \quad X_{NL} = \frac{G^2}{2F} + \sqrt{2}\theta G + \theta^2 F$$

- Then the couplings to the MSSM results

$$\mathcal{L} \supset \int d^2\theta \frac{m_\lambda}{2f} X_{NL} \mathcal{W}^2 = \frac{1}{2} m_\lambda \lambda^2 + \frac{im_\lambda}{\sqrt{2}f} \left( G\lambda D - \frac{i}{2} \lambda \sigma^\mu \bar{\sigma}^\nu G F_{\mu\nu} \right) + \dots$$

- Encodes both **soft terms** and **Goldstino couplings**

# MULTIPLE SUSY BREAKING SECTORS

?? What happens if there is more than one susy breaking sector ??

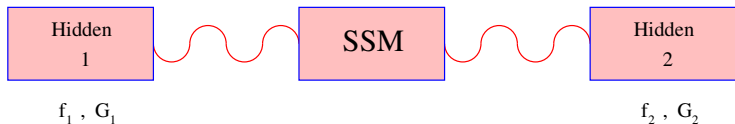
- Suppose to have two susy breaking sectors completely decoupled except for their interaction with the MSSM
- What are the pheno consequences?

## EVERY SECTOR HAS ITS OWN GOLDSTINO, BUT ...

- True Goldstino is massless in the rigid limit and is eaten by the gravitino in supergravity
- Others are extra fermionic particles (Pseudo-Goldstini)

Benakli, Moura '07

# TWO SUSY BREAKING SECTORS



$$G = \frac{1}{f}(f_1 G_1 + f_2 G_2) \quad \text{True-Goldstino} \quad m_G = m_{3/2}$$

$$G' = \frac{1}{f}(-f_2 G_1 + f_1 G_2) \quad \text{Pseudo-Goldstino} \quad m_{G'} = ???$$

where  $f = \sqrt{f_1^2 + f_2^2}$

Observe: soft terms are induced by both sectors, e.g.  $m_\lambda = m_\lambda^{(1)} + m_\lambda^{(2)}$



# PSEUDO-GOLDSTINO MASS

## GRAVITY MEDIATION

CHEUNG, NOMURA, THALER '10

- $m_{G'} = 2m_{3/2} \sim m_{soft}$

## ??? GAUGE MEDIATION ???

R.ARGURIO, Z.KOMARGODSKI, A.M. '11

- Contribution from gravity are negligible ( $m_{3/2} \ll m_{soft}$ )
- PseudoGoldstino can get mass from radiative corrections
- Radiative corrections will be the dominant contribution
- Can we give a universal estimate ?

## COMPUTATION OF $m_{G'}$

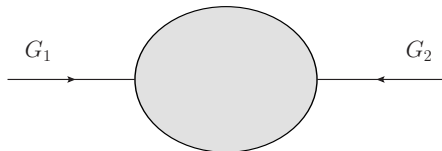
- Mass matrix for the Goldstini (one zero eigenvalue)

$$\mathcal{L} \supset \begin{pmatrix} G_1 & G_2 \end{pmatrix} \begin{pmatrix} -(f_2/f_1)\mathcal{M}_{12} & \mathcal{M}_{12} \\ \mathcal{M}_{12} & -(f_1/f_2)\mathcal{M}_{12} \end{pmatrix} \begin{pmatrix} G_1 \\ G_2 \end{pmatrix}$$

- Pseudo Goldstino mass determined by  $\mathcal{M}_{12}$

$$m_{G'} = \left( \frac{f_1}{f_2} + \frac{f_2}{f_1} \right) \mathcal{M}_{12}$$

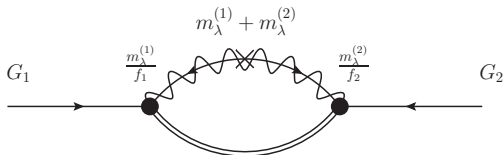
- We have to compute



# EFFECTIVE THEORY COMPUTATION

- **Leading contribution** from interaction with gaugino

$$\mathcal{L} = \frac{m_\lambda}{2} \int d^2\theta \left( \frac{\alpha_1}{f_1} X_1 + \frac{\alpha_2}{f_2} X_2 \right) W_\alpha^2, \quad \alpha_1 + \alpha_2 = 1$$



- Divergent contribution ( $f_1 = f_2 = f$ ,  $\alpha_1 = \alpha_2$ )

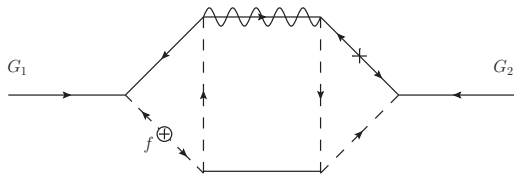
$$m_{G'} \simeq \frac{1}{16\pi^2} \frac{m_\lambda^3}{f^2} \Lambda_{UV}^2$$

- $\Rightarrow$  Effective theory is not predictive
- Need to invoke microscopic physics

# TOY MODEL: TWO MINIMAL GAUGE MEDIATION

$$W = \int d^2\theta \sum_{i=1}^2 (X_i + M_i) \Phi_i \tilde{\Phi}_i$$

- Leading contribution at 3 loops



- Two different effective vertices
  - ▶  $G\lambda D$
  - ▶  $F^\dagger G\partial\bar{\lambda}D$
- Only first vertex is captured in the low energy lagrangian

?? Can we provide a model independent answer in gauge mediation ??

# MICROSCOPIC THEORY: GENERAL GAUGE MEDIATION

- GGM Lagrangian Meade Seiberg Shih '08

$$\frac{1}{g^2} \mathcal{L}_{GGM} = \frac{1}{2} C_0 D^2 - i C_{1/2} \lambda \sigma^\mu \partial_\mu \bar{\lambda} - \frac{1}{4} C_1 F_{\mu\nu}^2 - \frac{1}{2} (B_{1/2} \lambda^2 + h.c.)$$

- We supersymmetrize it by adding term linear in the Goldstino

$$\mathcal{L}_{eff} = \mathcal{L}_{GGM} - \frac{G^\alpha}{\sqrt{2}f} [Q_\alpha, \mathcal{L}_{GGM}] + O(G^2)$$

$$\frac{1}{g^2} \mathcal{L}_{Gold} = \frac{iB_{1/2}}{\sqrt{2}f} \left( G\lambda D - \frac{i}{2} \lambda \sigma^\mu \bar{\sigma}^\nu G F_{\mu\nu} \right) + \frac{1}{\sqrt{2}f} (C_0 - C_{1/2}) G \sigma^\mu \partial_\mu \bar{\lambda} D + \frac{i}{\sqrt{2}f} (C_1 - C_{1/2}) G \sigma_\nu \partial_\mu \bar{\lambda} F^{\mu\nu} + \dots$$

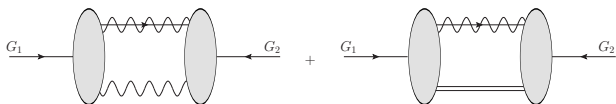
- $B_{1/2}$  and  $\Delta C_i$  are functions of the momentum which die off at large  $p^2$
- Momentum dependent vertices with cut off
- Several checks on  $\mathcal{L}_{eff}$  (e.g.  $O(G^2)$  terms  $\Rightarrow$  massless Goldstino)

# PSEUDO-GOLDSTINO MASS

- Lagrangian for the two susy breaking sector case

$$\mathcal{L}(G_1, G_2, B_{1/2}^{(1,2)}, C_i^{(1,2)}) = \mathcal{L}_{GGM}^{(1)} + \mathcal{L}_{GGM}^{(2)} + \mathcal{L}_{Gold}^{(1)} + \mathcal{L}_{Gold}^{(2)} + \dots$$

- We have the vertices to compute  $\mathcal{M}_{12} \Rightarrow m_{G'}$
- Leading contribution at order  $g^4$



## $\Rightarrow$ PSEUDO-GOLDSTINO MASS

$$m_{G'} = \frac{g^4}{2} \left( \frac{1}{f_1^2} + \frac{1}{f_2^2} \right) \int \frac{d^4 p}{(2\pi)^4} B_{1/2}^{(1)} \left( C_0^{(2)} - 4C_{1/2}^{(2)} + 3C_1^{(2)} \right) + 1 \leftrightarrow 2$$

- We can check that True Goldstino remains massless
- We can check the expression in toy model (two copies of MGM)

## PSEUDO-GOLDSTINO MASS: COMMENTS

- Estimate  $m_{G'}$ , assuming same susy scale  $M$  in the two sectors

$$m_{G'} \simeq \frac{g^4}{(16\pi^2)^3} \left( \frac{f_1}{f_2} + \frac{f_2}{f_1} \right) \left( \frac{f_1}{M} + \frac{f_2}{M} \right)$$

- For  $f_1 \sim f_2 \sim f$  and typical gauge mediation scenario

$$m_{G'} \simeq \frac{g^4}{(16\pi^2)^3} \frac{f}{M} \simeq \frac{g^2}{(16\pi^2)^2} m_{\text{soft}} \simeq 1\text{GeV}$$

- $m_{G'}$  is enhanced if susy breaking scales are different

$$f_1 \gg f_2 \quad \Rightarrow \quad m_{G'} \simeq \frac{g^2}{(16\pi^2)^2} m_{\text{soft}} \left( \frac{f_1}{f_2} \right) \simeq 100\text{GeV}$$

- But we cannot unbalance too much the two sector scales

!!! Typical mass scale of Pseudo Goldstino in gauge mediation is  $GeV$  !!!

# PSEUDO-GOLDSTINO IN GAUGE MED: SUMMARY

- More hidden sectors with susy breaking
- $\Rightarrow$  New fermionic light particle: Pseudo-Goldstino
- Probe of the hidden sector

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- We extracted its MSSM couplings in **Gauge mediation**
  - We computed its mass
  - **Pseudo Goldstino mass**

$$m_{G'} \simeq 1\text{GeV} - 100\text{GeV}$$

- Our computation dominates over gravity as long as  $\sqrt{f} \leq 10^9\text{GeV}$
- Typically Pseudo Goldstino is the NLSP (the LSP is the gravitino)



# PHENOMENOLOGY AND OUTLOOK

- $G'$  candidate for NLSP in gauge mediated models
- Couples to the MSSM particles similarly to the True Goldstino
- LSP is the gravitino
- $G'$  decays to  $G$
- Lifetime of  $G'$ : from few seconds to cosmologically time scale

## COLLIDER SIGNATURES

- Lightest Observable sector Supersymmetric Particle (LOSP) can decay both to pseudo-Goldstino and to Gravitino with different branching ratios
- Decay to  $G'$  ( $GeV$  mass particle), or to  $G$  ( $eV$  mass particle)