

Light Higgsinos as Heralds of Higher-Dimensional Unification

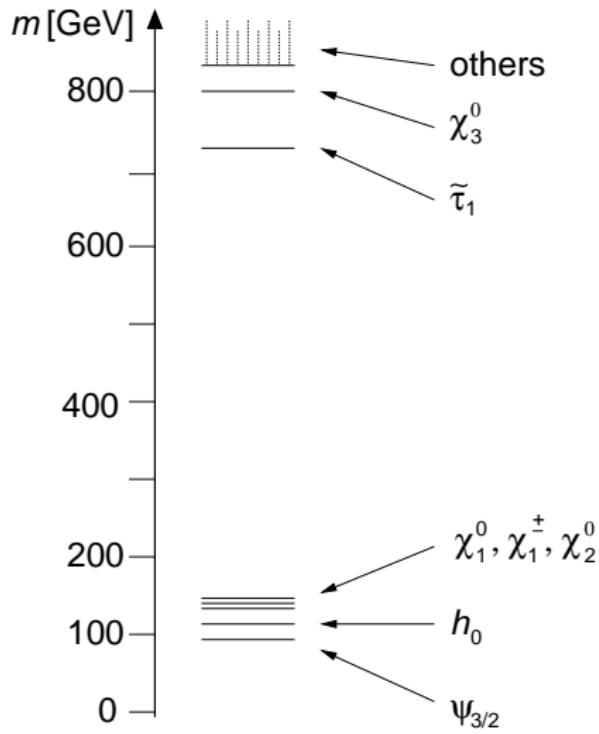
Felix Brümmer

DESY



Based on arXiv:1105.0802 (with W. Buchmüller)

Light higgsinos...



$$\begin{aligned}m_{3/2} &= 100 \text{ GeV} \\m_{h_0} &= 117 \text{ GeV} \\m_{\chi_1^0} &= 137 \text{ GeV} \\m_{\chi_1^\pm} &= 140 \text{ GeV} \\m_{\chi_2^0} &= 144 \text{ GeV}\end{aligned}$$

$$\begin{aligned}m_{\tilde{\tau}_1} &= 710 \text{ GeV} \\ \text{other sfermions } &900 - 1800 \text{ GeV} \\m_{\chi_3^0} &= 800 \text{ GeV} \\m_{\chi_4^0}, m_{\chi_2^\pm} &= 1300 \text{ GeV} \\ \text{heavy Higgs bosons around } &860 \text{ GeV} \\m_{\tilde{g}} &= 1450 \text{ GeV}\end{aligned}$$

...from higher-dimensional unification

- GUT-scale compactifications contain many vector-like exotics (often in incomplete GUT multiplets)
- They decouple near M_{GUT} ...
- ... and act as (old-fashioned, minimal) gauge mediation messengers
- Gauge mediation gives soft masses $\gtrsim 500$ GeV
- Gravity mediation gives μ term ~ 100 GeV
- \Rightarrow higgsinos light, other superparticles heavy

Possible settings:

heterotic orbifolds, field-theoretic orbifold GUTs, F-theory GUTs...

Motivations

- Find theoretically well-motivated, non-standard soft term patterns
- Find TeV scale signatures pointing towards GUT-scale compactifications
- Solve μ problem of gauge mediation

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- (For those working on SUSY and getting cold feet:
Hide SUSY from early LHC?)

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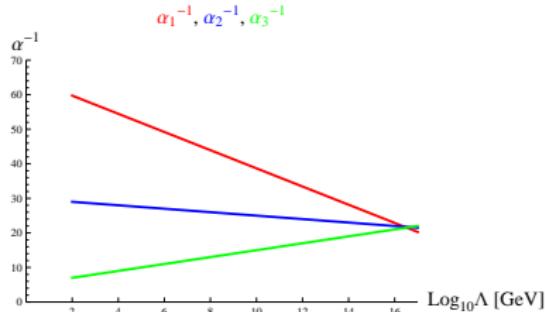
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Not necessarily (yet):

- Work out precise phenomenology of some concrete UV model
Examples meant to be qualitative for now

Higher-dimensional unification

MSSM predicts gauge coupling unification:



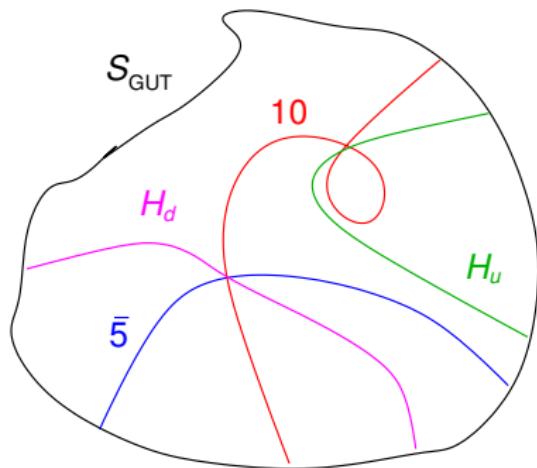
4D SUSY GUTs typically also predict light Higgs triplets, proton decay, wrong fermion mass relations

- Models of **unification in higher dimensions** can solve these problems...
- ... while **maintaining** prediction of unification
- Added bonus: Stringy models provide UV completion
- **This talk:** They also contain **messenger sector** for gauge mediation
→ interesting consequences

Messengers from F-theory

Cartoon of a semi-local F-theory GUT model:

→ Beasley/Heckman/Vafa '08, Donagi/Wijnholt '08

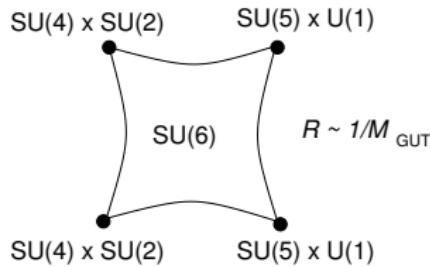


- GUT symmetry on complex surface: “**GUT brane**”
- matter and Higgs fields on curves
- Hypercharge flux on 2-cycle:
non-trivial in S_{GUT} ,
trivial in compactification
- $U(1)_Y$ flux restricts nontrivially to
Higgs curves
⇒ doublet-triplet splitting
- Then $U(1)_Y$ flux also restricts
nontrivially to some 10-curves
⇒ **exotics in split multiplets**
→ Marsano et al. '09, Dudas/Palti '10

Messengers from heterotic orbifolds

Ingredients:

- $E_8 \times E_8$ heterotic compactified on T^6/\mathbb{Z}_N
- Discrete Wilson lines break gauge group to $G_{\text{SM}} \times G_{\text{hidden}}$
- Computer searches → Buchmüller/Hamaguchi/Lebedev/Ratz '05–'06,
Lebedev/Nilles/Raby/Ramos-Sánchez/Ratz/Vaudrevange/Wingerter '06–'08
reveal many models with
 - Chiral matter content = 3 generations of quarks and leptons
 - In general many exotics, can be decoupled by coupling to singlet VEVs
 - Can have one pair of Higgs doublets massless
(realistic μ term from discrete R-symm. → FB/Kappl/Ratz/Schmidt-Hoberg '10,
→ talks by G. Ross, H.-M. Lee)
- Anisotropic limit → 5d or 6d field-theoretic orbifold GUTs



Sample spectrum from a heterotic model

→ Buchmüller, Hamaguchi, Lebedev, Ratz '05

$E_8 \times E_8$ heterotic on T^6/\mathbb{Z}_6 with Wilson lines

Massless spectrum:

- 3 SM generations
- 1 pair of massless Higgs doublets
- $\mathcal{O}(100)$ SM singlets $\{S_I\}$
- vector-like exotics $\{\Sigma_i\}$:

field	representation	multiplicity
d	$(\mathbf{3}, \mathbf{1})_{-1/3}$	4
\tilde{d}	$(\bar{\mathbf{3}}, \mathbf{1})_{1/3}$	4
ℓ	$(\mathbf{1}, \mathbf{2})_{1/2}$	4
$\tilde{\ell}$	$(\mathbf{1}, \mathbf{2})_{-1/2}$	4
m	$(\mathbf{1}, \mathbf{2})_0$	8
s^+	$(\mathbf{1}, \mathbf{1})_{1/2}$	16
s^-	$(\mathbf{1}, \mathbf{1})_{-1/2}$	16

Messenger couplings

$$W = \sum_i M_{\text{Pl}} \mathcal{P}_i \left(\frac{S_I}{M_{\text{Pl}}} \right) \Sigma_i \tilde{\Sigma}_i + \dots$$

S_I = SM singlets; $\Sigma_i, \tilde{\Sigma}_i$ = vector-like exotics; \mathcal{P}_i = polynomials

- Assume there is a vacuum with $\langle S_I \rangle \sim M_{\text{GUT}}$
⇒ messengers Σ_i will decouple close to M_{GUT}
Appearance of GUT scale motivated by FI term / moduli stabilisation
- Assume also that $\langle F_{S_I} \rangle \neq 0$ (for some I) from couplings to hidden sector
⇒ SUSY mass splittings for messengers

Unusual features:

- Messengers in split multiplets ⇒ non-universal gaugino masses
- Messenger numbers large ⇒ gauginos heavier than scalars
- Messenger scale = GUT scale ⇒ gravity mediation not negligible (but still subdominant)

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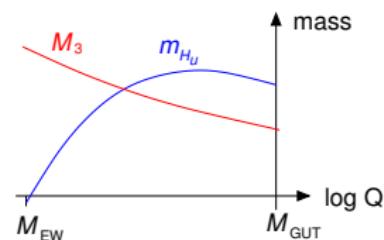
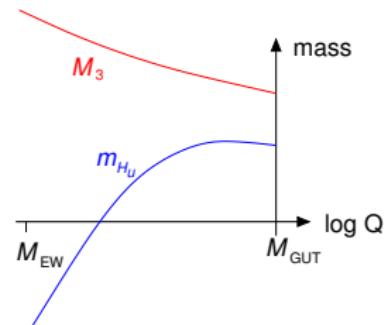
Why split messenger multiplets are useful

- Gaugino masses scale as $\sim N_{\text{mess}}$
- Scalar soft masses scale as $\sim \sqrt{N_{\text{mess}}}$, grow more slowly with N_{mess}

- $M_3 \gg m_{H_u}$ at GUT scale with μ small
⇒ realistic EWSB difficult:

M_3 feeds into $m_{\tilde{t}}$,
 $m_{\tilde{t}}$ decreases $m_{H_u}^2$ in RG running

- Split messenger multiplets can fix this
Specifically: Need $N_2 \gg N_3$,
where $N_2 = \#$ of weak doublet messengers,
 $N_3 = \#$ of colour triplets



Non-universal gauginos might also reduce fine-tuning → Horton/Ross '09

Simplifications

- In BHLR model, selection rules prevent (d, ℓ) -type messengers from coupling to same singlets as (m, s) -type messengers
- Next simplest parametrisation of messenger superpotential:

$$W = S_1(d\tilde{d} + \ell\tilde{\ell}) + S_2(mm + s^+s^-)$$

with

$$\langle S_1 \rangle = M_m + F_1 \theta^2, \quad \langle S_2 \rangle = M_m + F_2 \theta^2,$$
$$F_1 = F \cos \phi, \quad F_2 = F \sin \phi, \quad m_{3/2} = F/\sqrt{3}M_{\text{Pl}}$$

Choose equal messenger masses (for simplicity) but allow for different couplings to hidden sector

GUT-scale soft terms

(for $m_{3/2} = 100$ GeV, $M_{\text{mess}} = 5 \cdot 10^{15}$ GeV, $\tan \phi = 1.9$)

Mainly gauge-mediated:

mass parameter	value [GeV]
M_1	1771
M_2	1583
M_3	644
m_Q	786
m_U	599
m_D	478
$m_L = m_{H_u} = m_{H_d}$	736
m_E	643

Gravity-mediated:

μ	150
$\sqrt{B_\mu}$	240
A_0	150

Low-scale superparticle spectrum

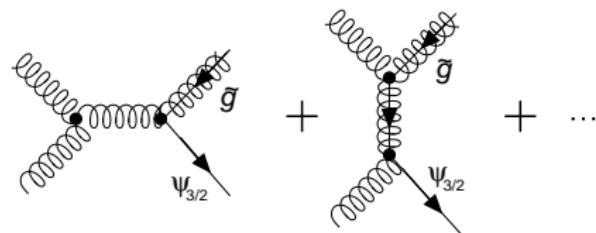
particle	mass [GeV]
h_0	117
χ_1^0	137
χ_1^\pm	140
χ_2^0	144
χ_3^0	799
χ_4^0	1296
χ_2^\pm	1296
H_0	856
A_0	857
H^\pm	861
\tilde{g}	1453
$\tilde{\tau}_1$	713
other sleptons	910 – 1290
squarks	950 – 1750

$$\tan \beta = 41$$

Cosmology

Gravitino LSP is **natural dark matter candidate**

Gravitinos produced thermally during reheating at large T_R :



$$\Omega_{\psi_{3/2}} h^2 \approx 0.21 \left(\frac{T_R}{10^{10} \text{ GeV}} \right) \left(\frac{100 \text{ GeV}}{m_{3/2}} \right) \left(\frac{m_{\tilde{g}}}{1 \text{ TeV}} \right)^2$$

see e.g. → Bolz et al. '00

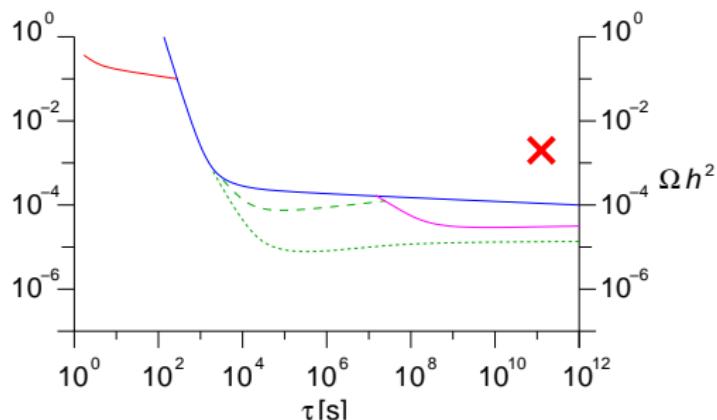
$$T_R \approx 10^{10} \text{ GeV:}$$

- Nicely compatible with leptogenesis
- Right order of magnitude for DM abundance

Cosmology

Problem: χ_1^0 NLSP long-lived, decays after BBN

Energetic decay products destroy nuclei, distorting light element abundances



Bounds from → Jedamzik '06:
NLSP relic density vs. lifetime
(assuming large hadronic BR)
 ${}^4\text{He}$, ${}^2\text{H}$, ${}^3\text{He}$, (Li)

- Our NLSP relic density is **low** due to coannihilation with χ_1^\pm (recall $m_{\chi_1^0} = 137 \text{ GeV}$, $m_{\chi_1^\pm} = 140 \text{ GeV}$):

$$\Omega_{\chi_1^0} h^2 = 3 \cdot 10^{-3}$$

- ... but still in conflict with BBN bounds
- (Small) R-parity violation? (Moderate) additional entropy production?

Collider phenomenology

Somewhat similar to “lopsided gauge mediation”

(→ De Simone, Giudice, Francescini, Pappadopulo, Rattazzi '11):

SUSY **cascade decays rare** @ early LHC: coloured superparticles heavy Higgsino production predominantly in **Drell-Yan**

Higgsino decays:

- χ_1^0 long-lived, decays outside detector
- $\chi_1^\pm \rightarrow \chi_1^0 +$ (hadrons or leptons) via virtual W exchange
Suppressed by 3-body final state; (slightly) displaced vertex
- ...

Work in progress

→ Brobovskyi, FB, Buchmüller, Hajer; to appear

Conclusions

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- with unconventional soft term patterns
- in particular: small μ (from gravity mediation)

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Therefore they naturally lead to

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The physical spectrum contains

- light Higgsinos
- a gravitino LSP
- otherwise heavy superpartners