

Probing jet substructure with 2-point & projected 3-point energy correlators in pp collisions at

13 TeV with ALICE





Motivation

Jet substructure \rightarrow radiation history of initiating parton \rightarrow probe QCD at different energy scales. The N-point Energy Correlator (ENC) encodes the evolution of jets from partonic to hadronic regimes in its slopes.

EEC_—scale dependence of energy flow—slopes of the curve distinguish hadronic and partonic regimes.

EEEC \rightarrow shape dependence of energy flow (3-pronged structure) + 1 \rightarrow 3 splittings.

E3C = EEEC projected along $R_l \rightarrow$ slope in the partonic regime is the same as EEEC. E3C/EEC ratios probe perturbative physics by eliminating detector & hadronization effects.

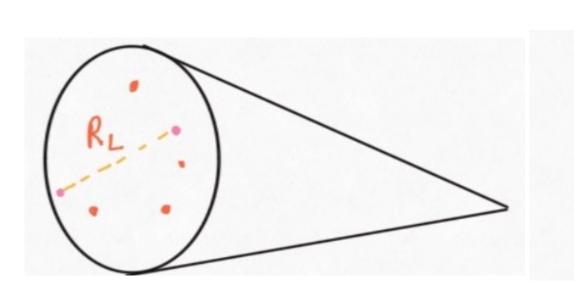
Scaling dimensions of operators & ENC

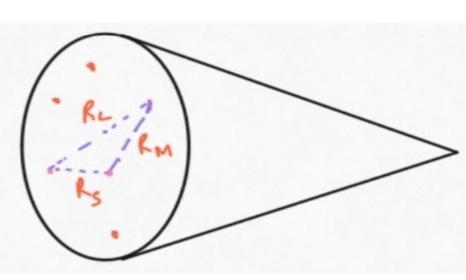
QFT operators have a scaling/mass dimension Δ_{\odot} . For e.g., in 3+1D, scalar field $[\phi] = 1$, fermion field $[\psi] = 3/2$. Quantum mechanical effects $\longrightarrow \Delta_{\mathbb{O}}$ gets shifted by "anomalous dimensions", $\gamma_{\mathbb{O}}$: $\Delta_{\mathbb{O}} = \Delta_{\mathbb{O}, classical} + \gamma_{\mathbb{O}}$ At leading log approximation [1]:

$$ENC(R_{\rm L}) = \frac{-d}{dR_{\rm L}} \left[(1,1) \exp\left(\frac{-\gamma^{(0)}(N+1)}{\beta_0} \ln \frac{\alpha_S(R_L\mu)}{\alpha_S(\mu)}\right) \left(x_q, x_g\right) \right] H_J(\mu)$$

The EEC & E3C

Keep only the largest side, R_l , for the E3C.





Analysis method

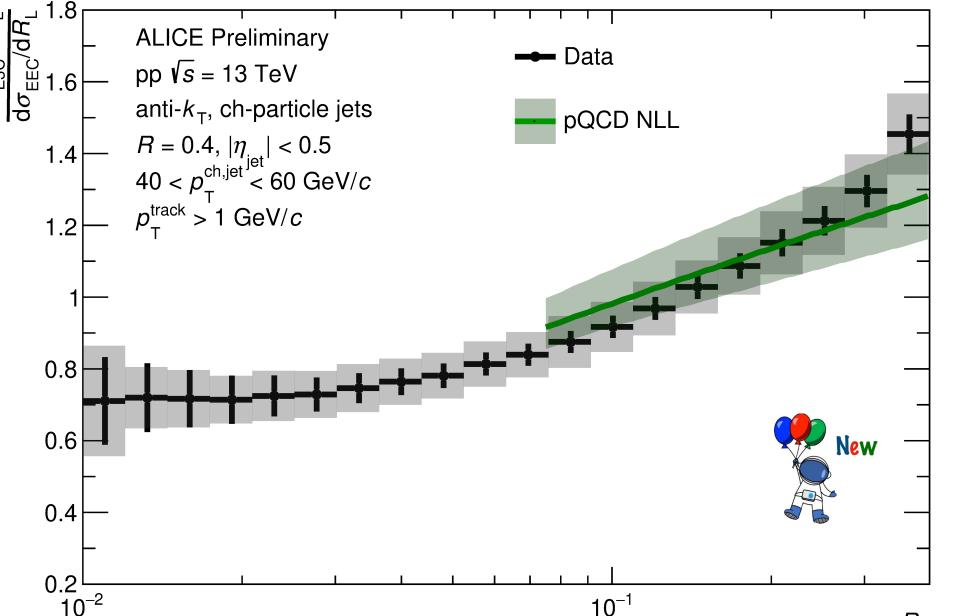
Constructing the ENC: Weighted histogram as a function of R₁ (largest distance between N particles). For N point correlator, the weight is: $p_{\mathrm{T}}^{i} p_{\mathrm{T}}^{j} p_{\mathrm{T}}^{k} \dots p_{\mathrm{T}}^{N}/(p_{\mathrm{T,jet}})^{N}$

<u>Correction method</u>: low R_l migration \rightarrow bin-by-bin correction

$$f_{corr}(R_{\rm L}^{\rm det}, p_{\rm T,jet}^{\rm det}) = ENC_{\rm det}/ENC_{\rm true}$$

 $ENC_{\rm true}(p_{\rm T,jet}^{\rm true}) = (1/f_{corr})ENC_{\rm det}(p_{\rm T,jet}^{\rm det})$

pQCD Comparison: E3C/EEC

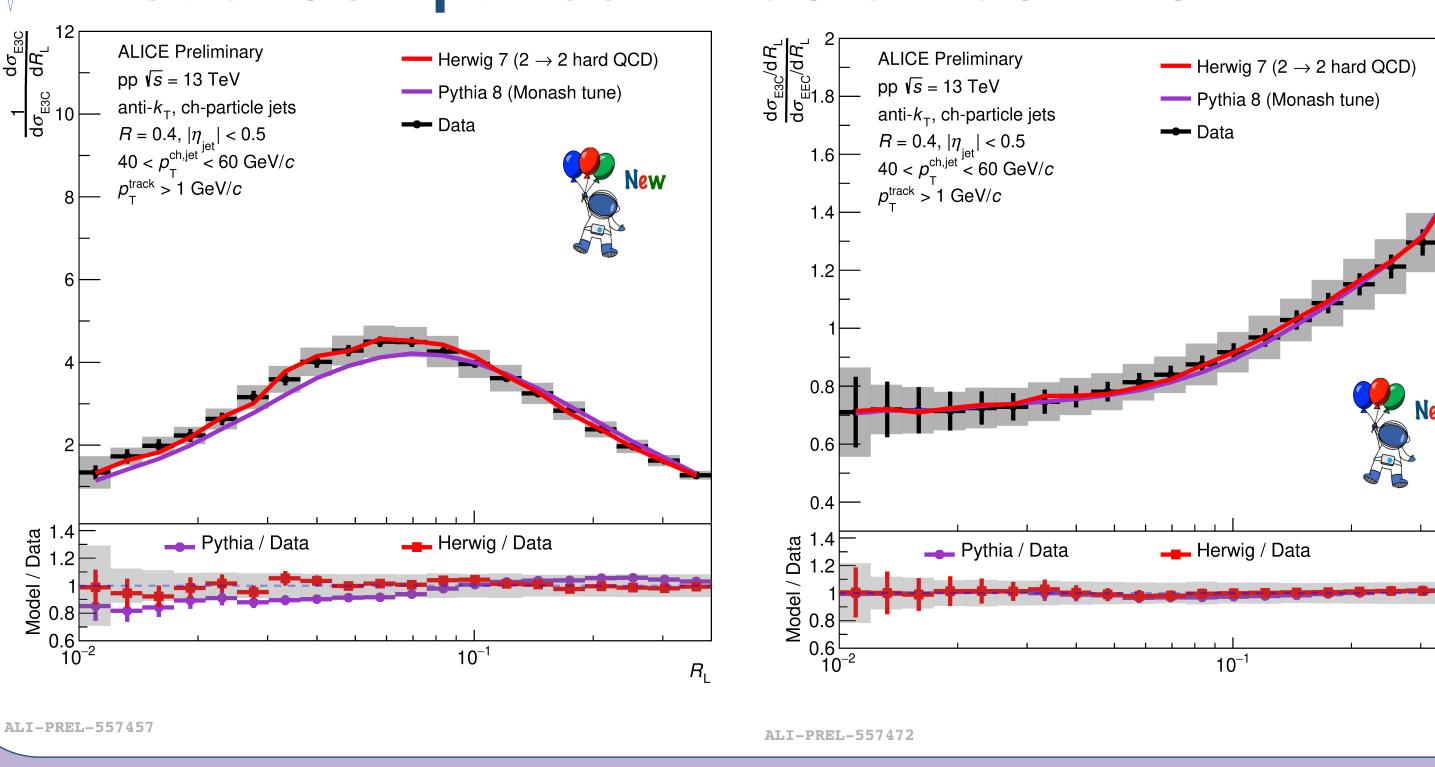


Shape comparison of the theory vs data

Good agreement within uncertainty bands! [4]

[4] arXiv:2205.03414

Model Comparison: E3C & E3C/EEC

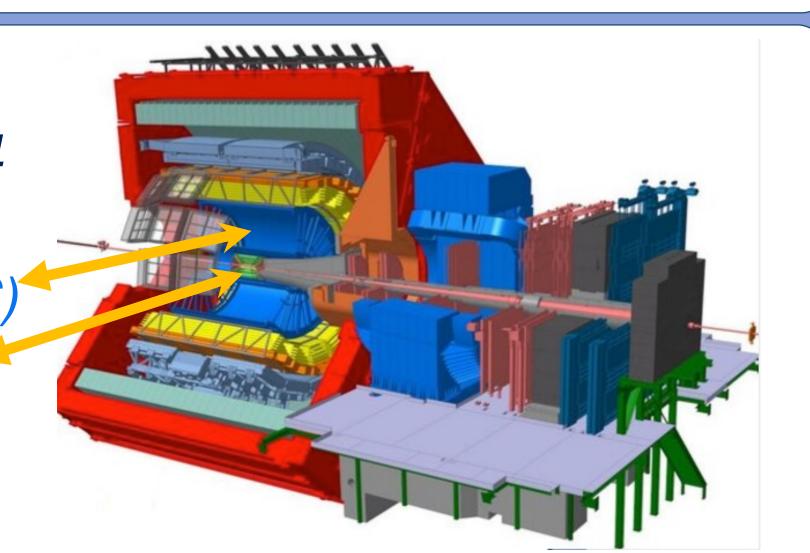


- [1] PhysRevLett.130.051901
- [2] See talk by Wenqing Fan (https://indi.to/wxQJT)
- [3] Measurement of energy correlators in jets & α_S extraction at CMS - BOOST 2023.

ALICE detector

Charged anti- k_T jets, R = 0.4

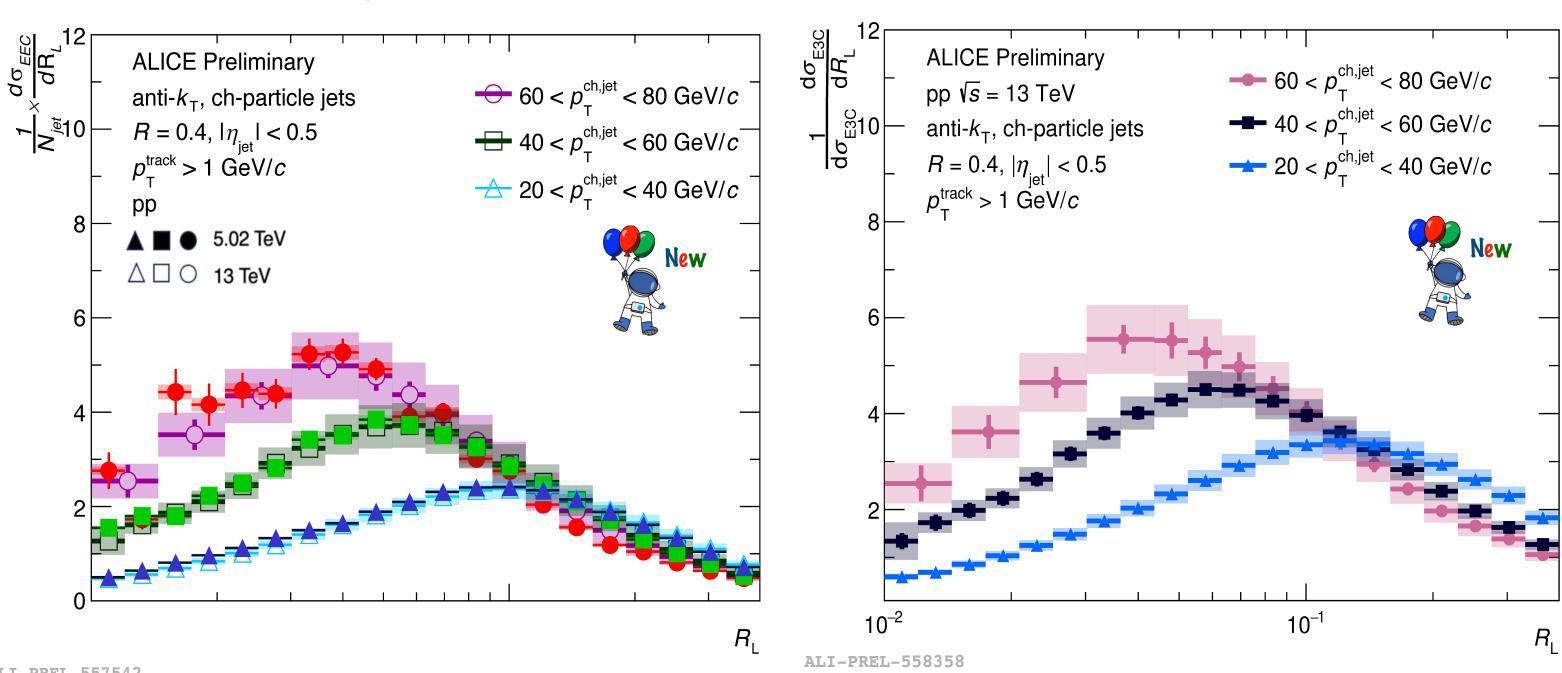
Time Projection Chamber (TPC) & Inner Tracking System (ITS). good angular & p_T resolution



Probing jet evolution with EEC & E3C

Higher p_T jets are \longrightarrow curves shift to the left \longrightarrow elongating the partonic region more perturbative angular ordering of QCD.

EEC is \sqrt{s} independent! [2].



E3C/EEC: γ , running α_S , perturbative physics

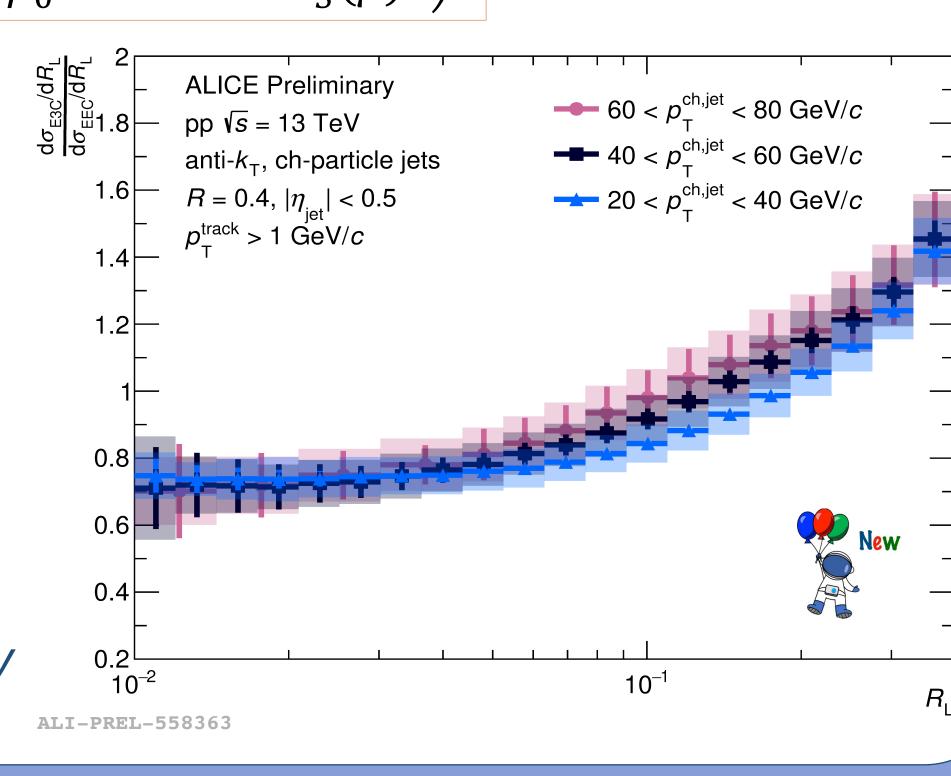
 $\frac{E3C}{EEC} \approx \frac{\gamma^{(0)}(4)}{\gamma^{(0)}(3)} \exp\left(\frac{\gamma^{(0)}(3) - \gamma^{(0)}(4)}{\beta_0} \ln \frac{\alpha_S(R_L \mu)}{\alpha_S(\mu)}\right)$

reproduced in data (slope > 1).Lowest p_T bin \rightarrow different

 $\gamma_{N+1} > \gamma_N$ (theory)

slope --- consistent w/ expectation of running of $\alpha_S!^*$

* The slopes here roughly agree with [3]



Summary:

See posters by:

Andrew Tamis (STAR)

- Slopes of the ENC allow clear separation of physics at different scales --- difficult in substructure measurements.
- E3C/EEC ratios access pQCD reduce detector and nonperturbative (hadronization) effects!
- Collision energy independence of EEC confirmed in data!

