Constraining the medium properties with the anisotropic flow and its correlations in Pb-Pb collisions with ALICE

Cindy Mordasini for the ALICE Collaboration

CoE in Quark Matter – University of Jyväskylä Quark Matter 2023, Houston, USA – 6th of September 2023







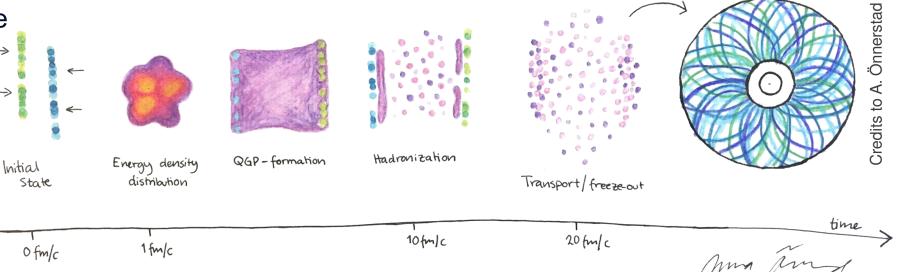


Constraining the medium properties

QGP not directly accessible

 Understanding of the full collision evolution required

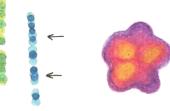
 Task: Identify observables sensitive to the different phases





Constraining the medium properties

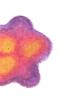
- QGP not directly accessible
- Understanding of the full collision evolution required
- Task: Identify observables sensitive to the different phases



Initial

State

Ofm/c



Energy density

distribution

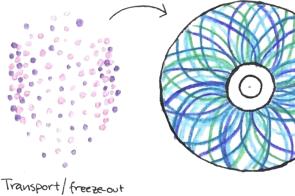
1 fm/c



QGP-formation



10 fm/c



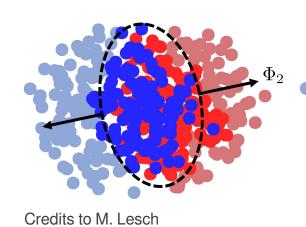
20 fm/c

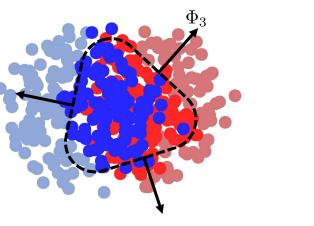
Use anisotropic flow observables

$$\frac{dN}{d\varphi} \propto 1 + 2\sum_{n=1}^{\infty} v_n \cos[n(\varphi - \Psi_n)]$$

S. Voloshin et al., Z. Phys. C 70, 665-672 (1996)

Valuable information on QGP properties from flow measurements!





Önnerstad

Credits to

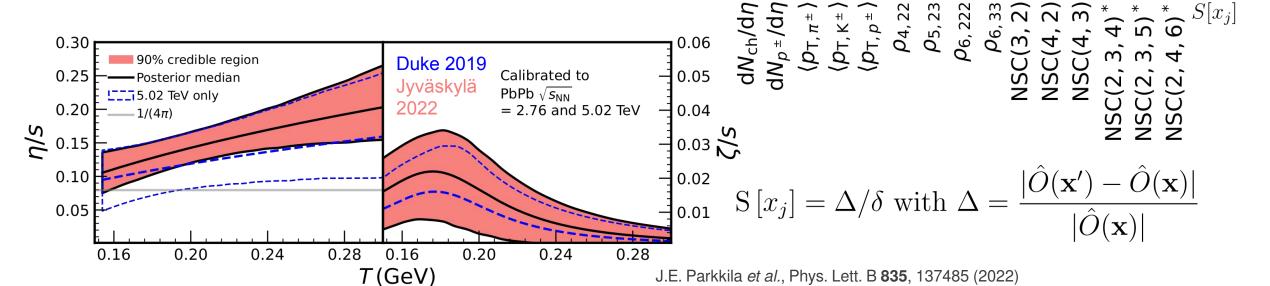


Which observables?

- The sensitivity of observables to model parameter variations depends on
 - which harmonics are used
 - the order of the largest correlator in the observable
- → Greater sensitivity of higher-order flow observables to QGP properties!

 T_{fs} 0.00 0.17 1.05 1.01 0.85 1.25 1.26 1.98 1.44 0.65 6.25 12 30 2.07 40 (η/s)slope T_c 0.00 0.14 0.19 0.19 0.18 1.74 1.37 3.03 1.36 0.70 7.02 1.70 34 30 1.06 T_c 0.00 0.25 0.03 0.03 0.04 0.80 0.40 0.45 0.61 0.41 3.53 1.44 4.46 7.15 0.21 (η/s) $_{crv}$ 0.00 0.08 0.22 0.21 0.14 2.53 1.27 2.85 2.76 1.61 15 9.80 22 29 14 (η/s) $_{crv}$ 0.00 0.17 0.05 0.05 0.05 0.40 0.40 0.73 0.75 0.13 1.81 4.72 2.20 8.41 6.17 (ζ/s) $_{peak}$ 0.01 0.44 1.16 1.01 0.73 0.34 1.59 1.04 1.15 1.49 1.49 2.57 3.74 2.04 15 (ζ/s) $_{max}$ 0.00 0.07 1.05 0.96 0.77 0.52 0.64 1.26 0.59 0.44 1.43 8.00 3.02 1.58 2.91 (ζ/s) $_{width}$ 0.00 0.01 0.20 0.15 0.07 0.39 1.66 1.55 1.35 0.38 1.41 1.21 1.77 23 19 T_s $_{witch}$ 0.01 1.34 0.25 0.21 0.16 3.95 2.42 1.98 1.00 1.96 17 18 4.08 0.47 6.22

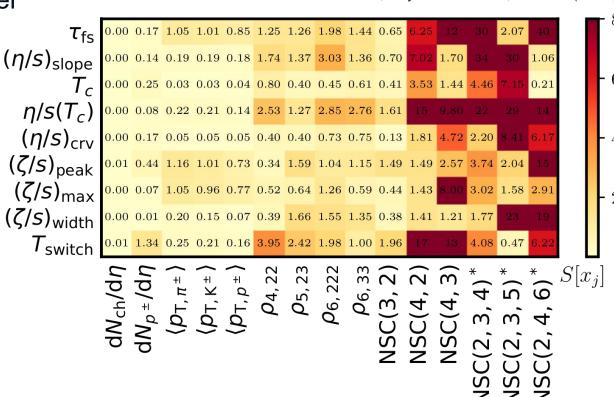
J.E. Parkkila et al., Phys. Lett. B 835, 137485 (2022)





Which observables?

- The sensitivity of observables to model parameter variations depends on
 - which harmonics are used
 - the order of the largest correlator in the observable
- → Greater sensitivity of higher-order flow observables to QGP properties!
- A broad new set of opportunities to investigate
- → New observables: correlations between different moments of the flow amplitudes
- → New bias-free estimator of symmetry plane correlations



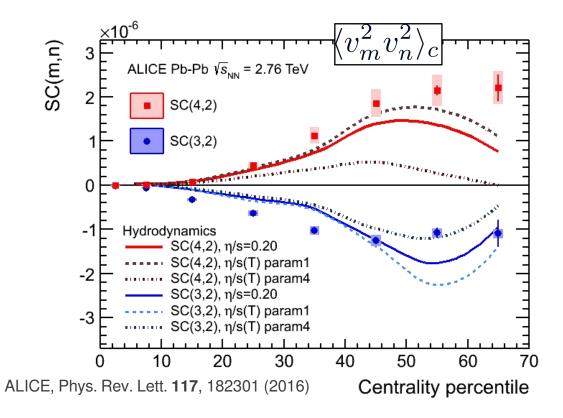
J.E. Parkkila *et al.*, Phys. Lett. B **835**, 137485 (2022)



Symmetric cumulants (SC)

$$\langle v_m^2 v_n^2 \rangle_c$$

 \circ measure the genuine correlations between $v_{\rm m}{}^2$ and $v_{\rm n}{}^2$

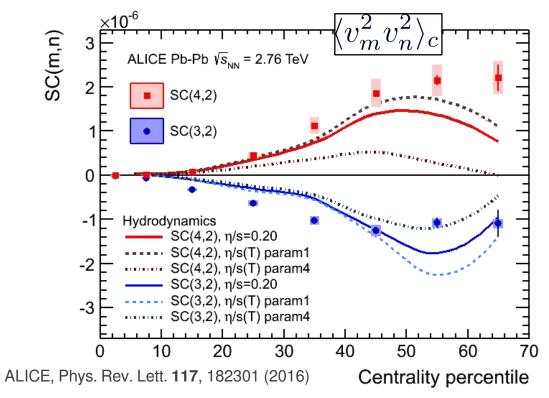


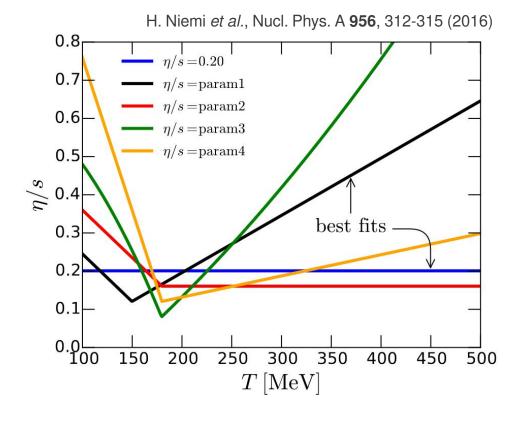


Symmetric cumulants (SC)

$$\langle v_m^2 v_n^2 \rangle_c$$

- \circ measure the genuine correlations between $v_{\rm m}{}^2$ and $v_{\rm n}{}^2$
- \circ sensitivity to $\eta/s(T)$ previously not accessible







Symmetric cumulants (SC)

$$\langle v_m^2 v_n^2 \rangle_c$$

Asymmetric cumulants (AC)

$$\langle v_m^4 v_n^2 \rangle_c, \langle v_m^6 v_n^2 \rangle_c, \dots$$

Most general form for two harmonics (a,b: moments)

$$AC_{a,b}(m,n) \equiv \langle v_m^{2a} v_n^{2b} \rangle_c$$

$$NAC_{a,b}(m,n) \equiv \frac{AC_{a,b}(m,n)}{\langle v_m^2 \rangle^a \langle v_n^2 \rangle^b}$$

- \circ for a,b = 1: $AC_{1,1}(m,n) \rightarrow SC(m,n)$
- easily generalized to more harmonics and moments

A. Bilandzic et al., Phys. Rev. C 105, 024912 (2022)



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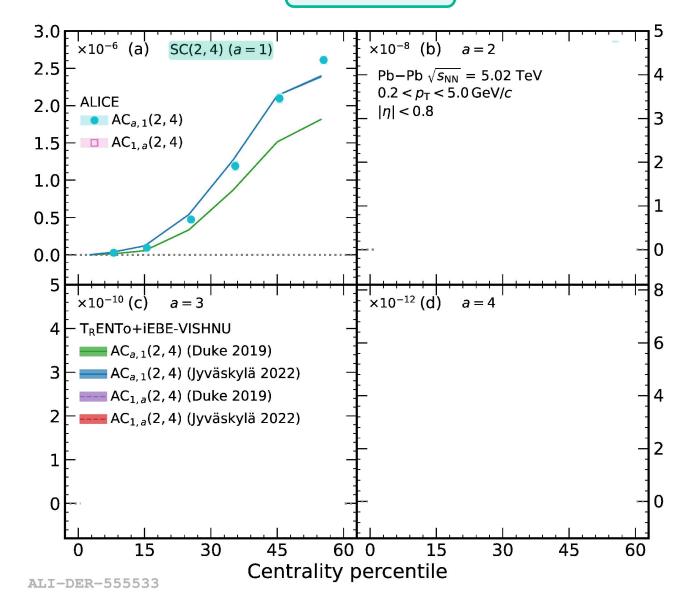
A. Bilandzic et al., Phys. Rev. C 105, 024912 (2022)

- easily generalized to more harmonics and moments
- $AC_{a,b}(m,n)$ and $AC_{b,a}(m,n)$: sensitive to different terms of non-linear response
- 34 new measurements with a = 1—4 and b = 1 for the pairs of harmonics (m,n): (2,3), (2,4) and (3,4) ALICE, arXiv:2303.13414 (Submitted to Phys. Rev. C)

ALICE, arXiv:2303.13414

• First measurements in Pb–Pb collisions at $\sqrt{s_{\mathrm{NN}}}$ = 5.02 TeV

- Better description with Jyväskylä 2022^[1] compared to Duke 2019^[2]
 - o quantitative: SC(2,4)



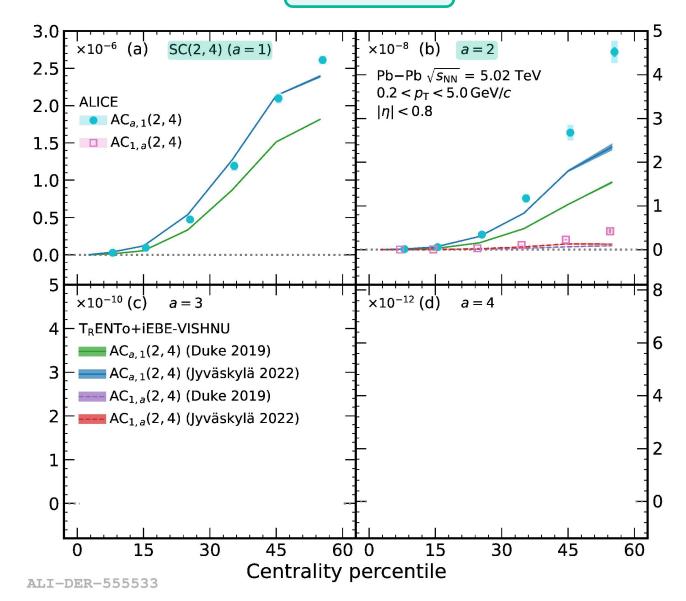
^[1] J.E. Parkkila et al., Phys. Lett. B 835, 137485 (2022)

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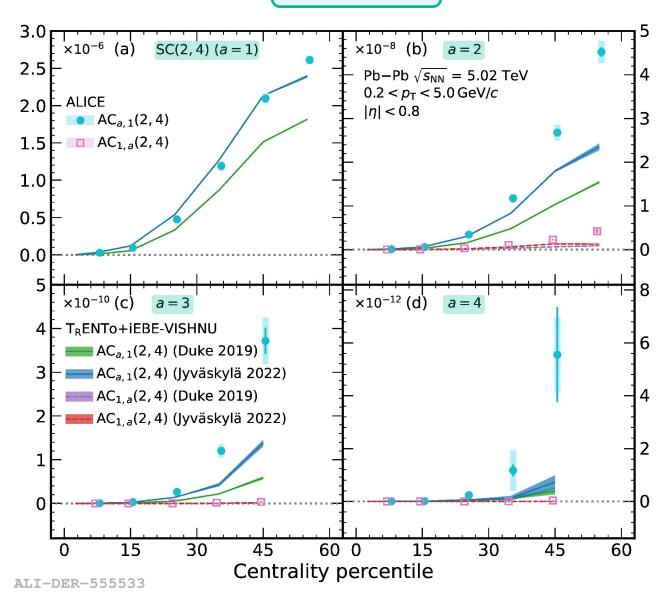
- Better description with Jyväskylä 2022^[1] compared to Duke 2019^[2]
 - o quantitative: SC(2,4)
 - o qualitative: $AC_{a,1}(2,4)$ and $AC_{1,a}(2,4)$, a = 2



^[1] J.E. Parkkila et al., Phys. Lett. B 835, 137485 (2022)

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 - qualitative: $AC_{a,1}(2,4)$ and $AC_{1,a}(2,4)$, a = 2-4
- → Discriminative power of AC(2,4) can lead to further improvements in model predictions



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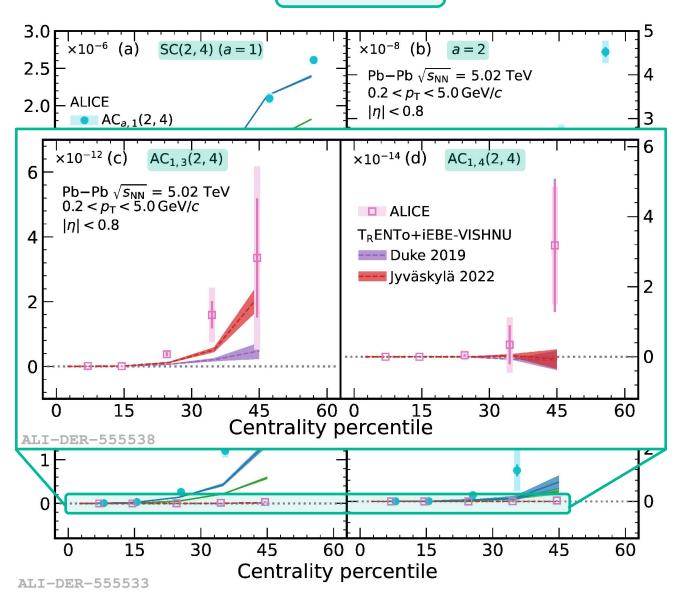
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- → Discriminative power of AC(2,4) can lead to further improvements in model predictions
- Compatible with zero within uncertainties for $AC_{1,3}(2,4)$ and $AC_{1,4}(2,4)$
- \rightarrow Potential constraints on non-linear response of v_4

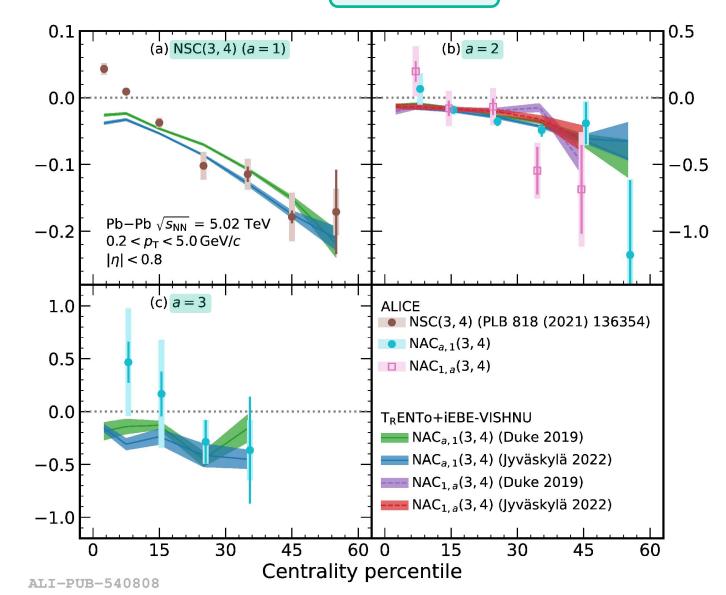


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- "Good" agreement between
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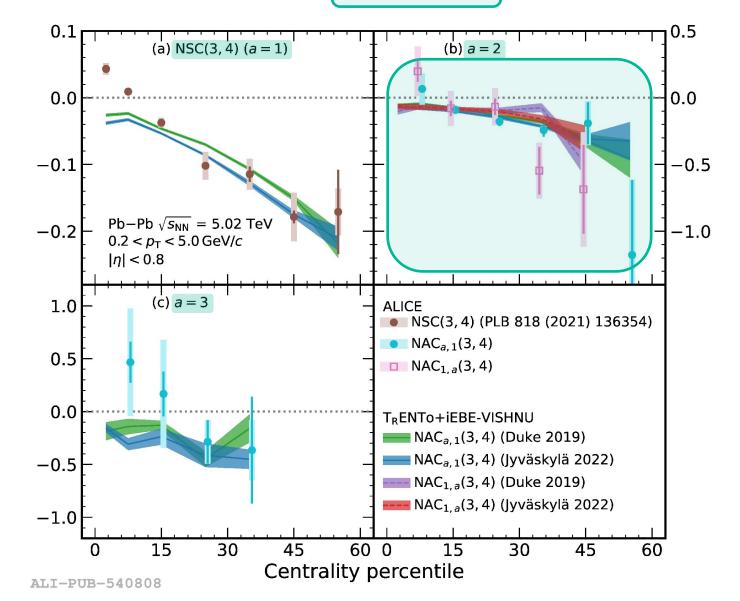


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- "Good" agreement between
 - data and model in semicentral collisions
 - Duke 2019^[1] and Jyväskylä 2022^[2]
- Overlap between $NAC_{2,1}(3,4)$ and $NAC_{1,2}(3,4)$
- → May originate from interplay between the different phases of the collision
- Initial state predictions required



^[1] J.E. Bernhard et al., Nature Phys. 15, 1113-1117 (2019)

^[2] J.E. Parkkila et al., Phys. Lett. B 835, 137485 (2022)



Some examples of SPC observables

$$\langle \cos[4(\Psi_4 - \Psi_2)] \rangle, \langle \cos[6(\Psi_2 - \Psi_3)] \rangle, \langle \cos[2\Psi_2 + 3\Psi_3 - 5\Psi_5] \rangle, \dots$$



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Previously: Scalar Product (SP) method^[1,2]

$$\langle \cos[4(\Psi_4 - \Psi_2)] \rangle_{\mathrm{SP}} = \frac{\langle v_2^2 v_4 \cos[4(\Psi_4 - \Psi_2)] \rangle}{\sqrt{\langle v_2^4 \rangle \langle v_4^2 \rangle}} \qquad \begin{array}{c} \mathbf{Problem:} \langle v_2^4 v_4^2 \rangle \neq \langle v_2^4 \rangle \langle v_4^2 \rangle \\ \rightarrow \text{Biased measurements} \end{array}$$

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Now: Gaussian Estimator (GE)[3]

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→ Sensitive only to contributions of symmetry planes

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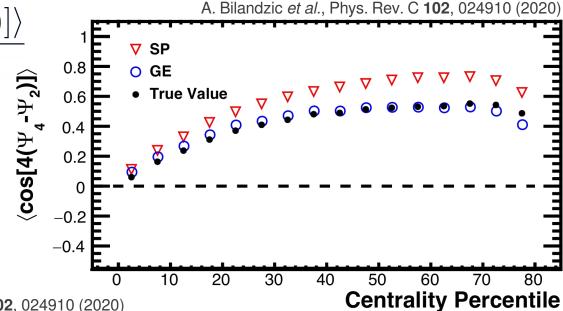
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$$\bullet \text{ Predictions from MC-Glauber+iEBE-VISHNU} \qquad \begin{array}{c} \text{O.6} \\ \hline \bullet \text{ O.6} \\ \hline \bullet \text{ O.6} \\ \hline \bullet \text{ O.6} \\ \hline \bullet \text{ O.7} \\ \hline \bullet \text{ O.8} \\ \hline \bullet \text{ O.9} \\ \hline \bullet \text{$$

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- → GE overcomes bias in SP method



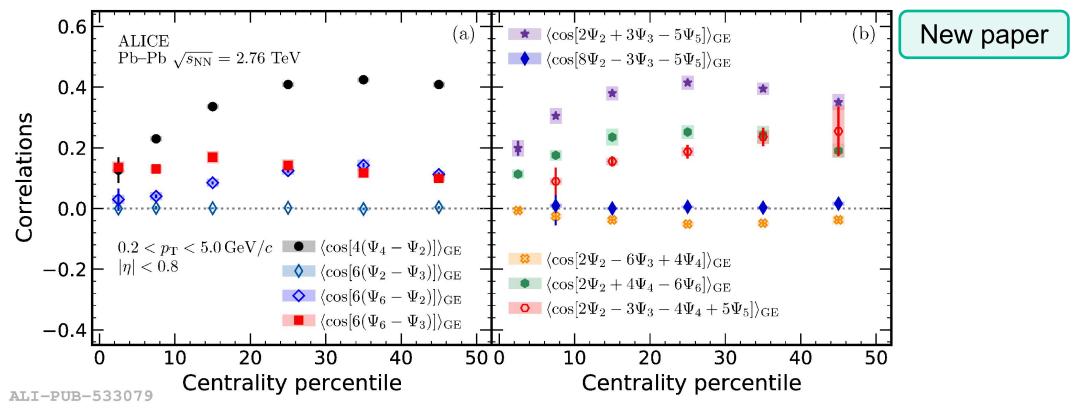
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New SPC at $\sqrt{s_{NN}} = 2.76 \text{ TeV}$

ALICE, Eur. Phys. J. C 83, 576 (2023)



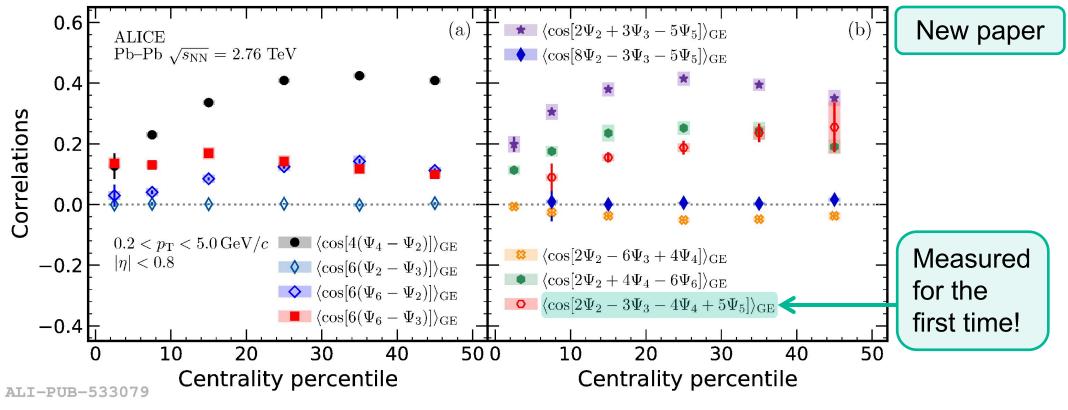
• First measurements of SPC between two and three symmetry planes with the GE in Pb–Pb collisions at $\sqrt{s_{
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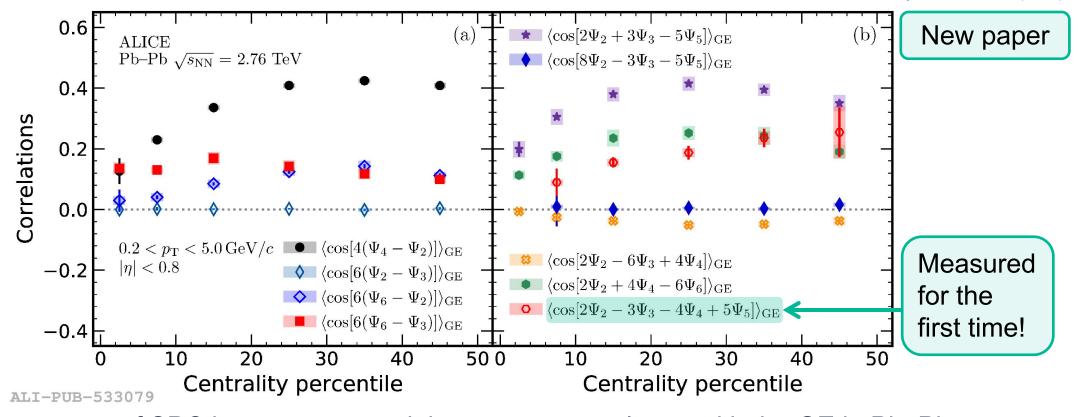
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- First measurements of SPC between two and three symmetry planes with the GE in Pb–Pb collisions at $\sqrt{s_{NN}}$ = 2.76 TeV

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- Magnitudes of SPC depend on the order of the involved correlators

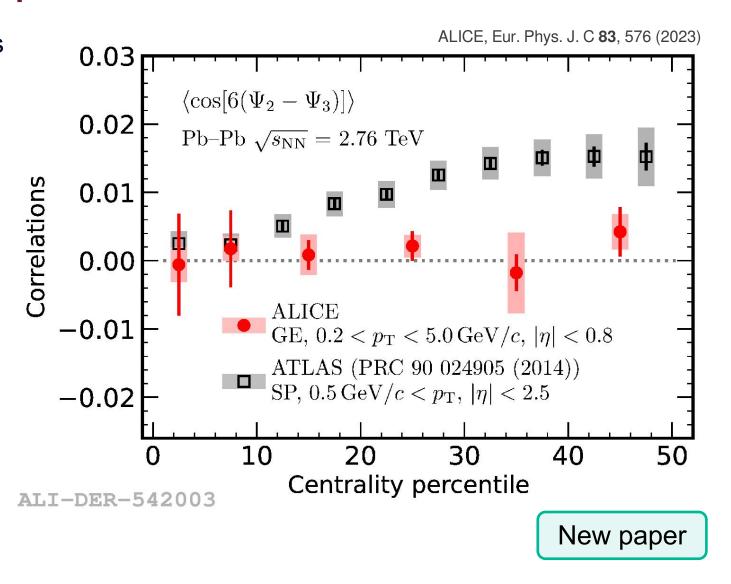


Comparison with previous measurements

 Comparison with previous measurements with SP method

ATLAS, Phys. Rev. C 90, 024905 (2014)

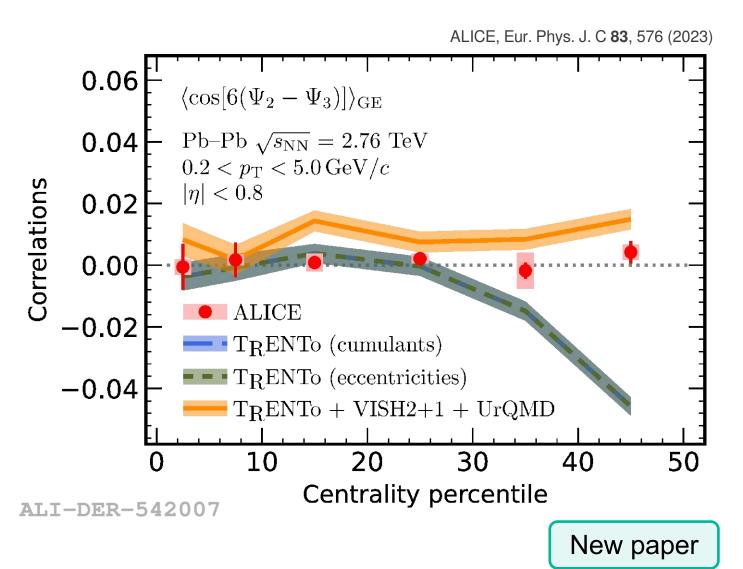
- Results with GE significantly smaller than with SP
 - SP: positive trend in semicentral collisions
 - GE: compatible with zero within uncertainties
- Bias from flow amplitude correlated fluctuations also visible in the data
- → May change the physics interpretation of the data





Correlations between Ψ_2 and Ψ_3

- Comparison with predictions from T_RENTo + VISH2+1 + UrQMD with Duke 2019^[1]
- Final state slightly overestimate the data

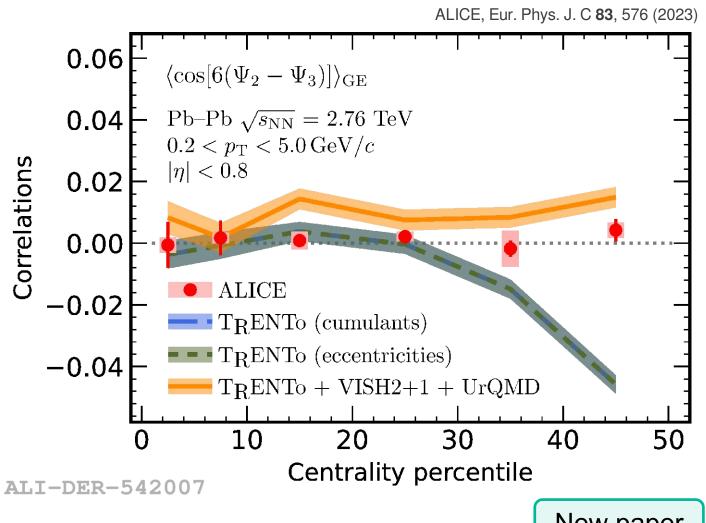


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Correlations between Ψ_2 and Ψ_3

- Comparison with predictions from T_RENTo + VISH2+1 + UrQMD with Duke 2019^[1]
- Final state slightly overestimate the data
- Clear negative trend in the initial state
- Expected overlap of initial and final states from dominant linear response for n = 2,3
- → Vanishing correlations due to higher-order non-linear terms?



New paper

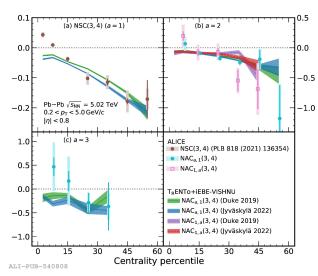
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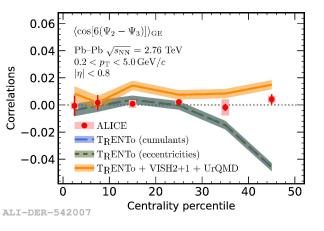


Summary

- Broad set of first measurements of new higher-order observables in Pb

 Pb collisions
- 34 two-harmonic (N)AC ALICE, arXiv:2303.13414 (Submitted to Phys. Rev. C)
- 9 two-, three- and four-symmetry planes SPC
 with new GE method ALICE, Eur. Phys. J. C 83, 576 (2023)
- New look at the interplay between the different phases of the collision
- → Impact of hydro evolution on initial state correlations
- Deviations between data and state-of-the-art model predictions
- → New constraints on the initial state and QGP properties in future Bayesian analyses
- Stay tuned: future Run 3 Pb—Pb collisions are incoming!







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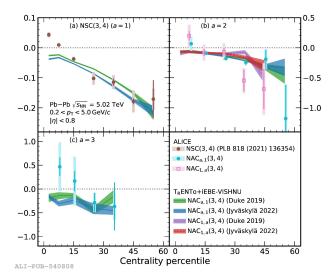
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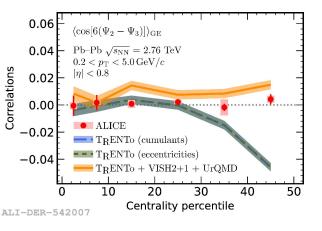
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See also

Mingrui: Talk 05.09 at 15:10

Ante: Poster 246 05.09 at 17:30 Emil: Poster 455 05.09 at 17:30







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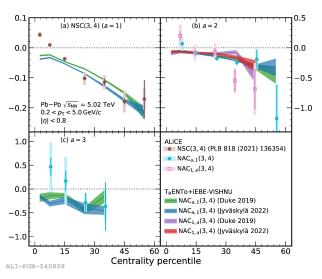
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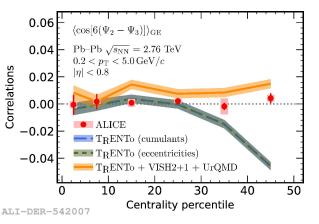
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Thank you for your attention!



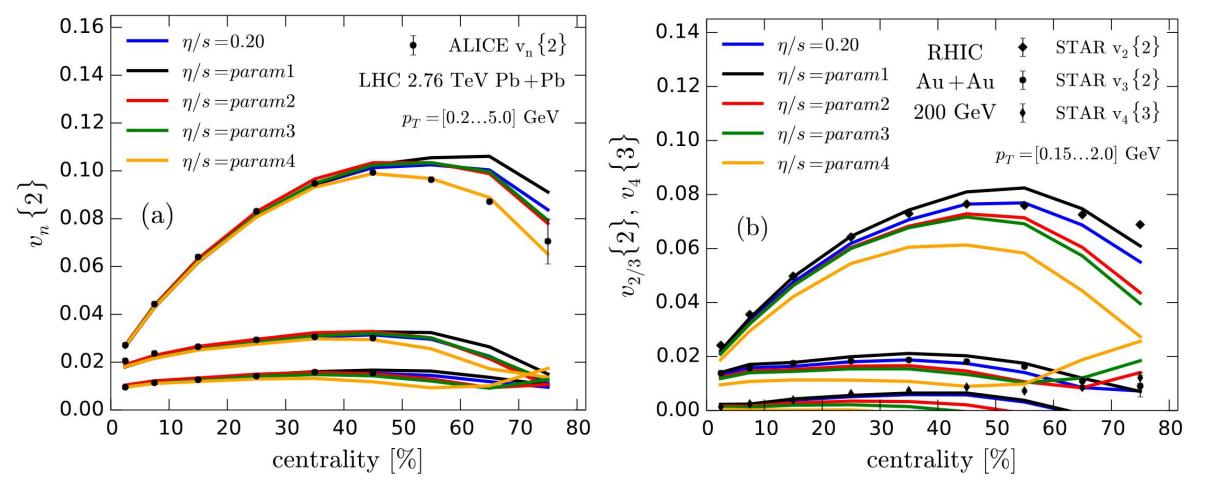




Additional slides



Flow amplitude measurements



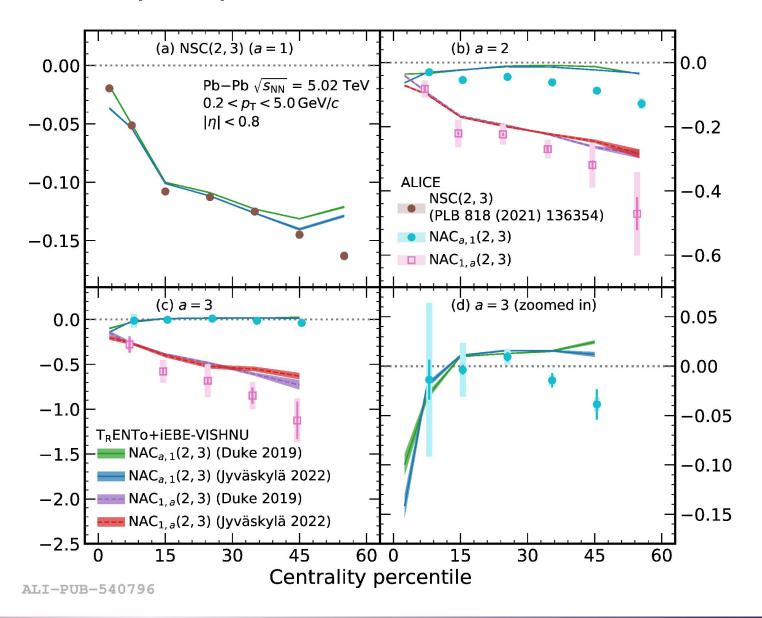
H. Niemi et al., Nucl. Phys. A 956, 312-315 (2016)



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- Tensions between data and models for $NAC_{2,1}(2,3)$ and $NAC_{3,1}(2,3)$
- Similar predictions between Duke 2019^[1] and Jyväskylä 2022^[2] due to T_RENTo?
- \rightarrow NAC_{a,1}(2,3) can constrain initial conditions modelling

NAC(2,3)



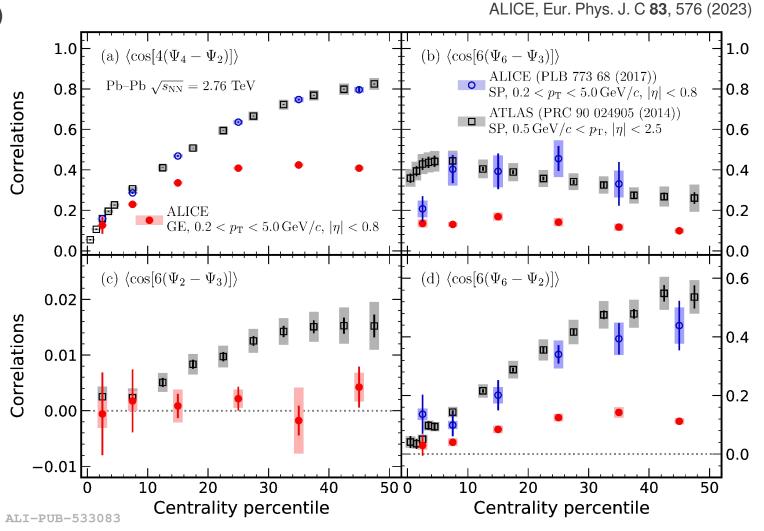
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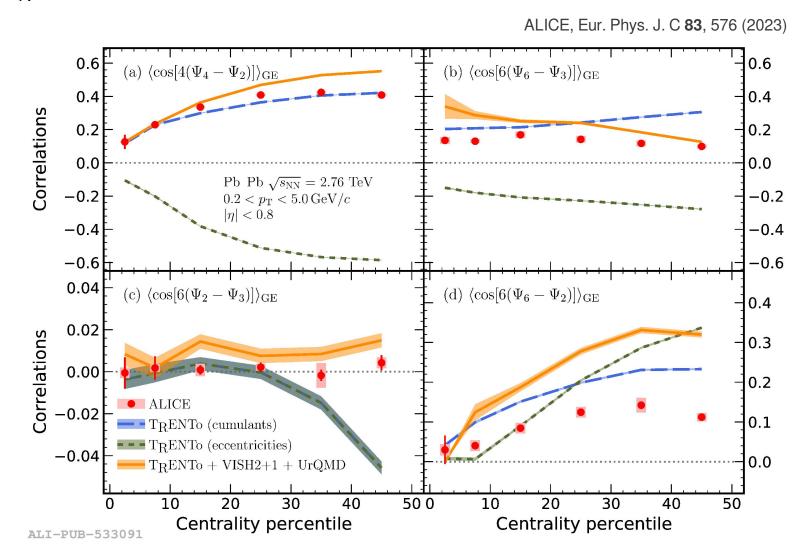
- Comparisons with the previous measurements with SP method
 - ATLAS, Phys. Rev. C 90, 024905 (2014)
 - ALICE, Phys. Lett. B 773, 68 (2017)
- Good agreement of SPC with SP between ALICE and ATLAS within uncertainties
- Results with GE significantly smaller than with SP
- → Bias from flow amplitude correlated fluctuations also visible in data





2-harmonic SPC

- Comparison with predictions from T_RENTo-VISH2+1-UrQMD^[1]
- Correlations between Ψ_2 and Ψ_4 well reproduced only in the linear regime
- SPC between Ψ₂ and Ψ₃
 zero within uncertainties
 → Impact of higher-order terms in non-linear response?
- \bullet Large tensions between data and models for SPC with Ψ_6



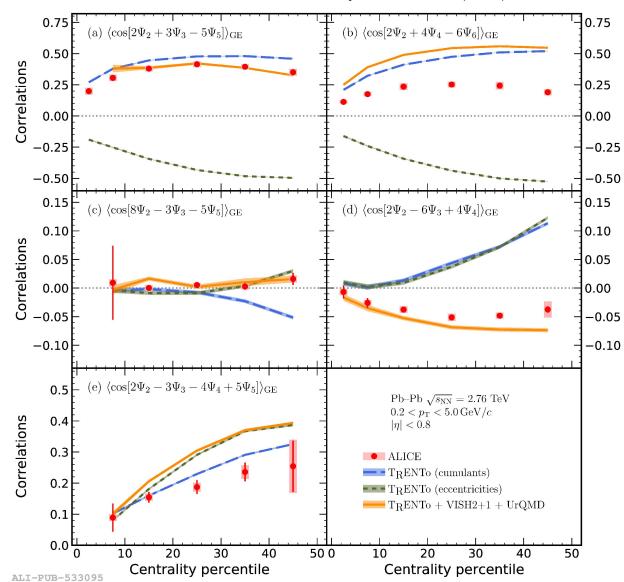
[1] J.E. Bernhard et al., Nature Phys. 15, 1113-1117 (2019)



3-harmonic SPC

ALICE, Eur. Phys. J. C 83, 576 (2023)

 Comparison with predictions from T_RENTo-VISH2+1-UrQMD^[1]



[1] J.E. Bernhard et al., Nature Phys. 15, 1113-1117 (2019)