# Dilepton production from $\gamma\gamma$ fusion processes in UPC & non-UPC in Pb+Pb collisions with the ATLAS detector

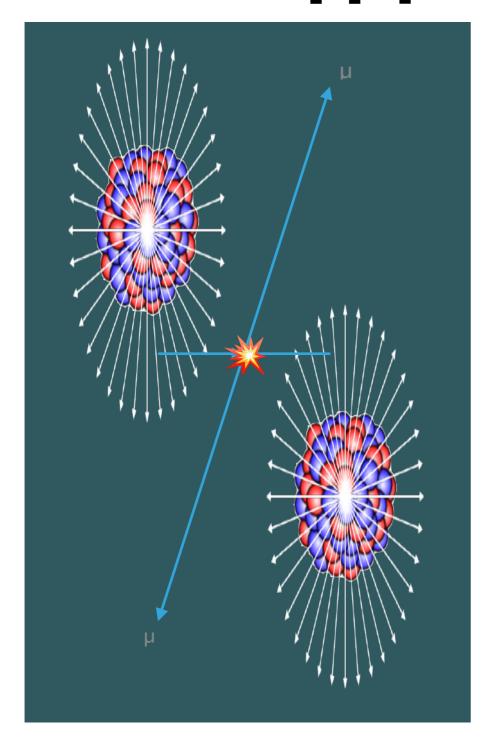


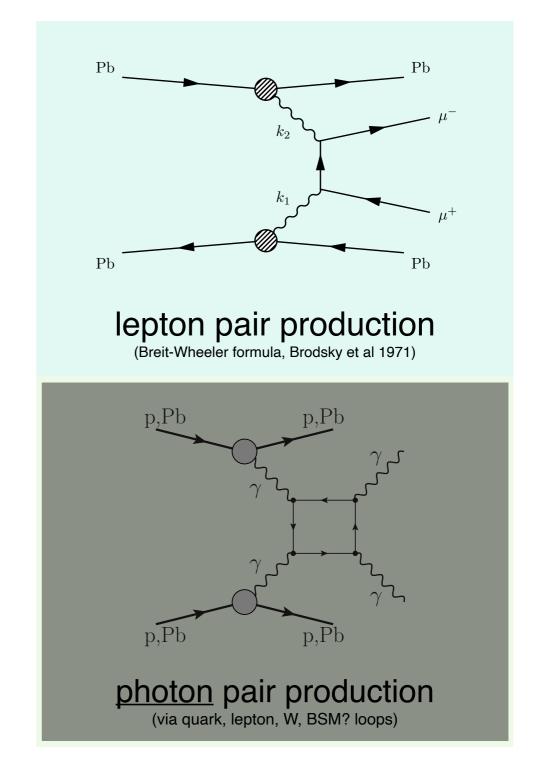
Peter Steinberg, BNL for the ATLAS Collaboration QM 2023 / 3-9 September 2023





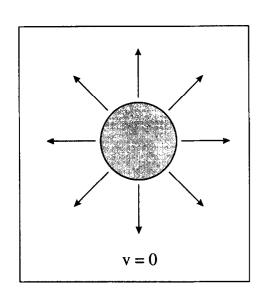
#### Exclusive yy processes

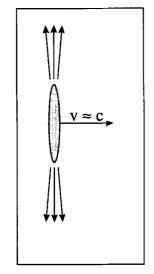


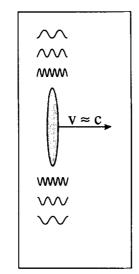


Heavy ion collisions are excellent QED & BSM laboratories!

# **Equivalent Photon Approximation**

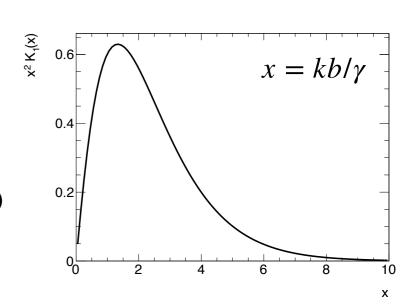






For a point charge:

$$n(k,b) = \frac{d^3N_{\gamma}}{d^2bdk} \propto \frac{\alpha Z^2}{kb^2} f(kb/\gamma)$$



maximum energy  $E_{\gamma,\text{max}} \sim \gamma (\hbar c/R)$ 

typical  $p_T$  (& virtuality)  $p_{Tmax} \sim \hbar c/R$ 

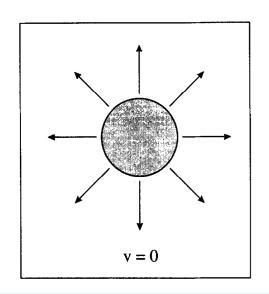
Coherent strengths (rates) scale as **Z**<sup>2</sup>: nuclei >> protons

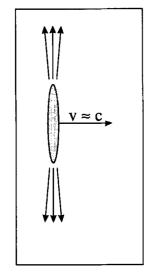
80 GeV in Pb+Pb@LHC 3 GeV in Au+Au@RHIC

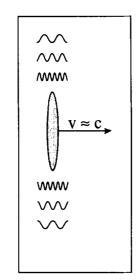
O(30) MeV @ RHIC & LHC

Flux of photons on other nucleus ~ **Z**<sup>2</sup>, flux of photons on photons ~ **Z**<sup>4</sup> (45**M!**)

#### Two-photon fluxes, two approaches

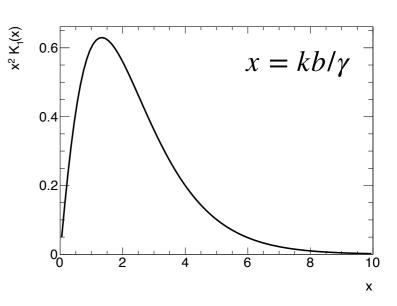






For a point charge:

$$n(k,b) = \frac{d^3N_{\gamma}}{d^2bdk} \propto \frac{\alpha Z^2}{kb^2} f(kb/\gamma)$$



#### **STARlight** formalism:

Comput.Phys.Commun. 212 (2017) 258-268

$$\frac{d^2N}{dk_1dk_2} = \int_{b_1 > R_1} d^2b_1 \int_{b_2 > R_2} d^2b_1$$
Radial cutoff to nuclear distributions

$$\frac{d^2N}{dk_1dk_2} = \int_{b_1>R_1} d^2b_1 \int_{b_2>R_2} d^2b_2 \ n(k_1,b_1)n(k_2,b_2) \ P_{\rm fn}(b) \ (1-P_{\rm H}(b))$$
 forward neutron topology nuclear distributions (no) hadronic interaction: Glauber calculation

#### **SuperChic** formalism:

SciPost Phys. 11, 064 (2021)

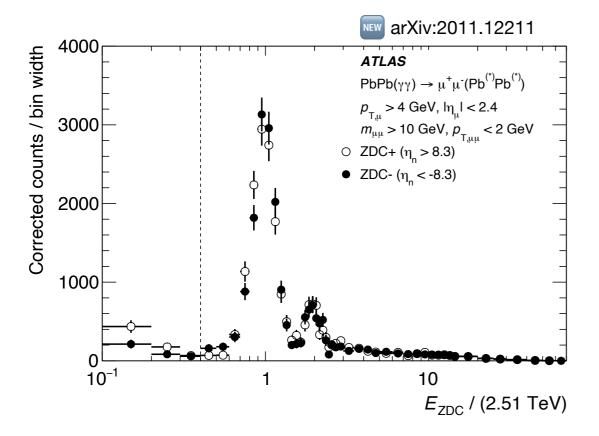
$$\sigma_{N_1 N_2 \to N_1 X N_2} = \int dx_1 dx_2 \, n(x_1) n(x_2) \hat{\sigma}_{\gamma \gamma \to X}$$

$$n(x_i) = \frac{\alpha}{\pi^2 x_i} \int \frac{d^2 q_{i_\perp}}{q_{i_\perp}^2 + x_i^2 m_{N_i}^2} \left( \frac{q_{i_\perp}^2}{q_{i_\perp}^2 + x_i^2 m_{N_i}^2} (1 - x_i) F_E(Q_i^2) + \frac{x_i^2}{2} F_M(Q_i^2) \right)$$

includes survival and polarization effects, forward neutrons now available in SC4.2

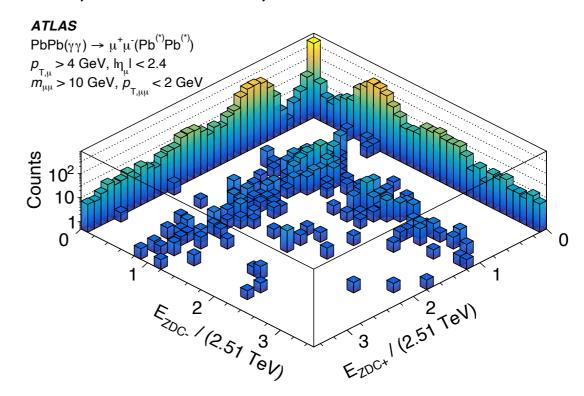
#### **ZDC** selections

ZDCs can distinguish 0n from 1n, 2n...

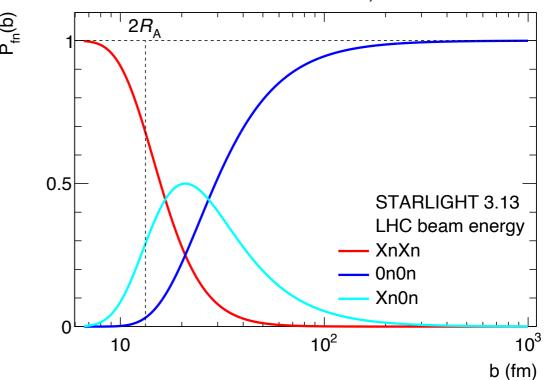


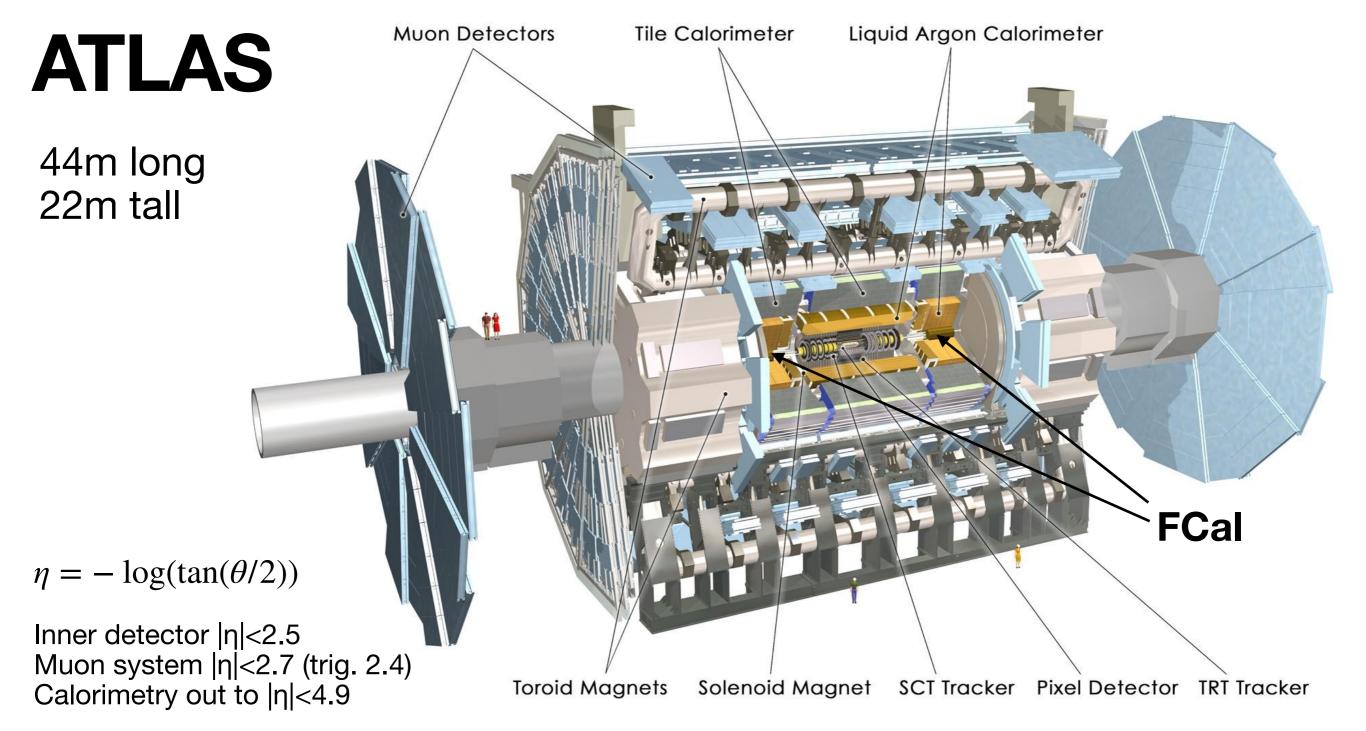
Selection of a specific ZDC topology is also filtering on a range of impact parameters (0-15 fm, 15-40fm, 40+ fm), and so modifies expected incoming photon spectrum

#### and thus classify events according to 0n0n, Xn0n/0nXn, or XnXn



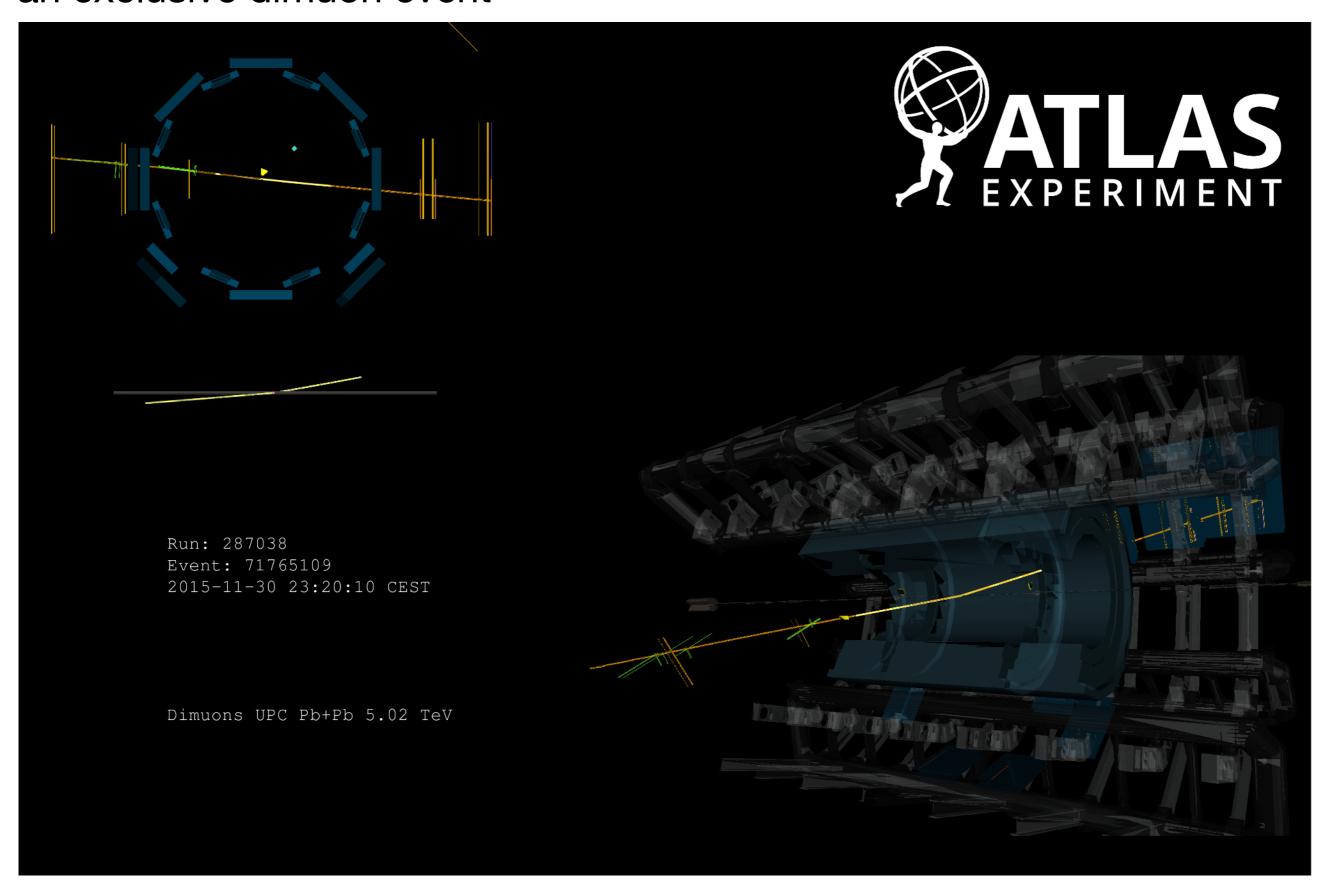
Klein & PAS, arXiv:2005.08172





Zero degree calorimeters (ZDC) z= $\pm 140$ m: neutrons & photons  $|\eta| > 8.3$ 

#### an exclusive dimuon event



#### an exclusive dielectron event



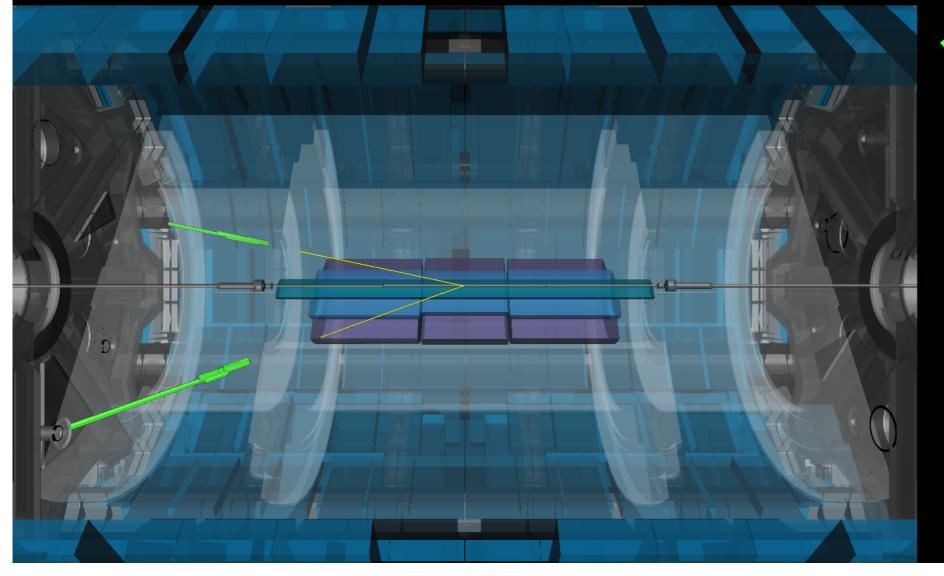
Run: 365512

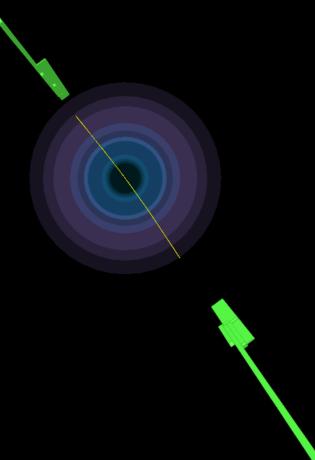
Event: 130954442

2018-11-09 07:56:44 CEST

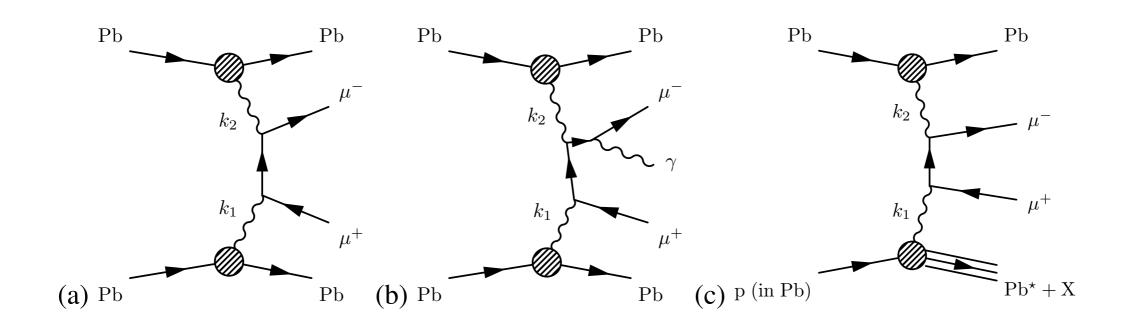
 $p_T^{e1} = 8.2 \text{ GeV}$ 

 $p_{m}^{e2} = 7.4 \text{ GeV}$ 





#### **Exclusive dilepton processes & dissociation**



 $PbPb(\gamma\gamma) \rightarrow \mu^+\mu^-(Pb^{(\star)}Pb^{(\star)})$  is the primary signal Breit-Wheeler process cross section implemented in STARlight, SuperChic, etc.

 $PbPb(\gamma\gamma) \rightarrow \mu^+\mu^-\gamma(Pb^{(\star)}Pb^{(\star)})$  is a higher order final state, also signal. Not in any existing MC, but now being addressed in calculations, and can be added to final states (e.g. from STARlight) using Pythia8

Pb + N/Pb( $\gamma\gamma$ )  $\rightarrow \mu^+\mu^- X$ (Pb\*Pb(\*)) is dissociative background (non-EPA) process, including nuclear breakup as well, modeled using LPair (μμ) or SuperChic (ee)

### Acoplanarity distributions in e+e-

 $p_{\text{Te}} > 2.5 \text{ GeV}, |\eta_e| < 2.47, m_{ee} > 5 \text{ GeV}, p_{\text{Tee}} < 2 \text{ GeV}$ 

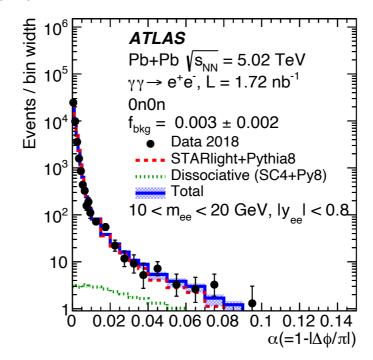
Acoplanarity is a key tool for distinguishing these processes:

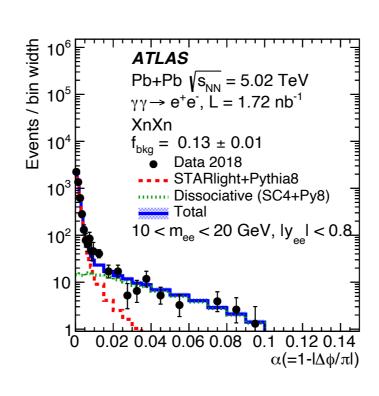
$$\alpha = 1 - |\Delta \phi|/\pi$$

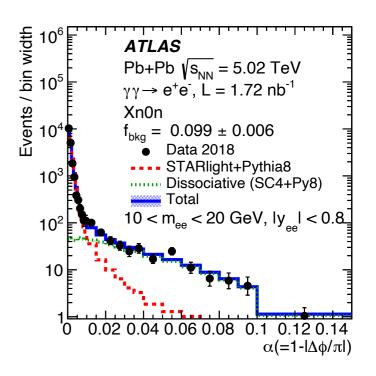
Clear differences between samples selected with ZDC topologies:

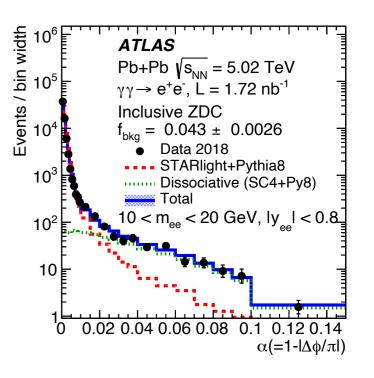
OnOn - excellent agreement with STARlight+Pythia8

OnXn & XnXn clear contributions from dissociative contributions (modeled with SuperChic 4)



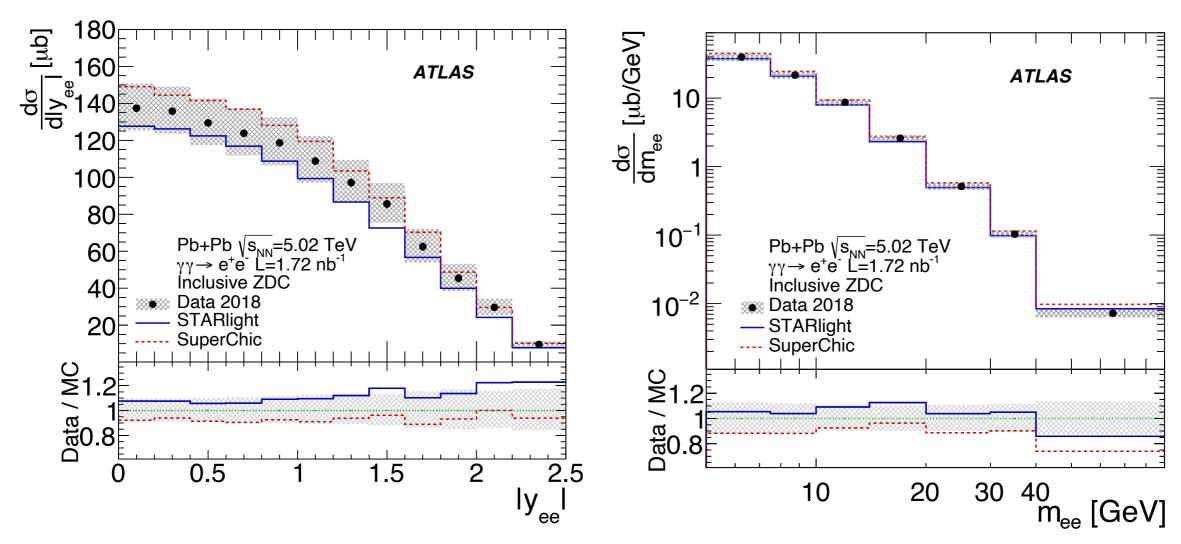






#### ee: rapidity and mass

 $p_{\text{Te}} > 2.5 \text{ GeV}, |\eta_e| < 2.47, m_{ee} > 5 \text{ GeV}, p_{\text{Tee}} < 2 \text{ GeV}$ 

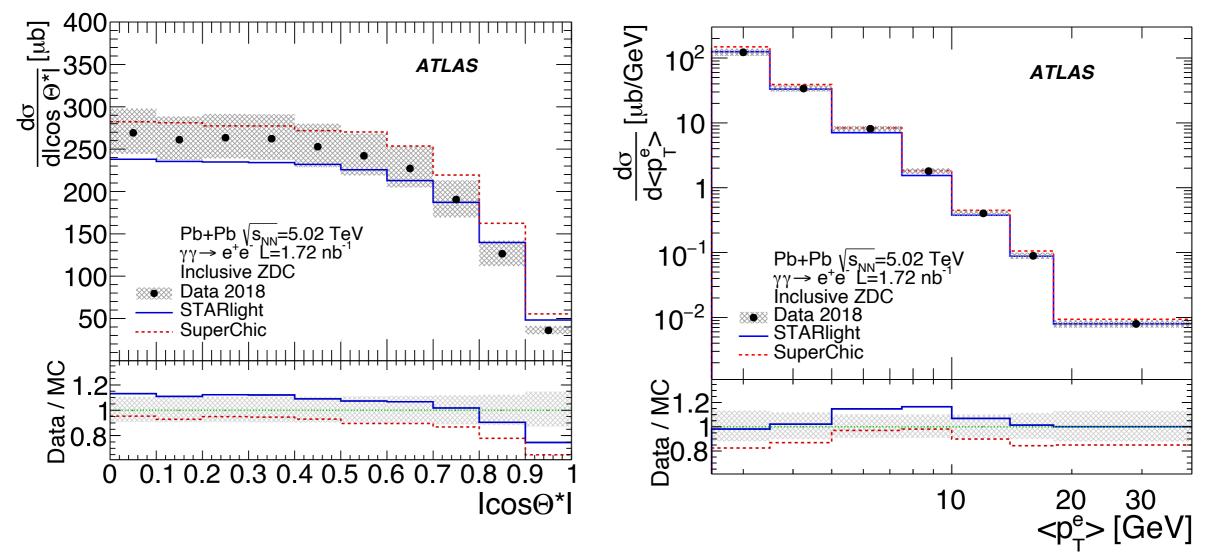


Just as was seen with  $\mu\mu$ , we see steady rise in the data/MC ratio as a function of  $|y_{ee}|$ , but similar spectral shape in  $m_{ee}$ .

STARlight tends to underpredict data while, SuperChic has better shape but overpredicts it: need for HO Coulomb corrections?

### ee: scattering angle and <pt>>

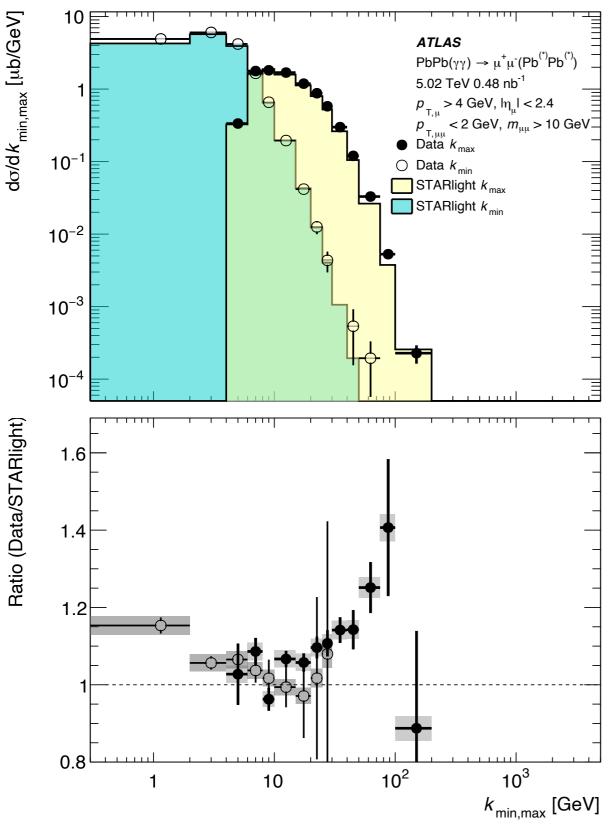
 $p_{\text{Te}} > 2.5 \text{ GeV}, |\eta_e| < 2.47, m_{ee} > 5 \text{ GeV}, p_{\text{Tee}} < 2 \text{ GeV}$ 



Just as was seen with  $\mu\mu$ , we see steady rise in the data/MC ratio as a function of  $|y_{ee}|$ , but similar spectral shape in  $m_{ee}$ .

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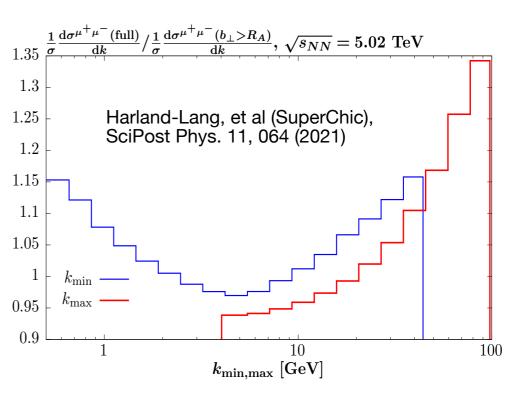
# Photon energy distributions in µµ



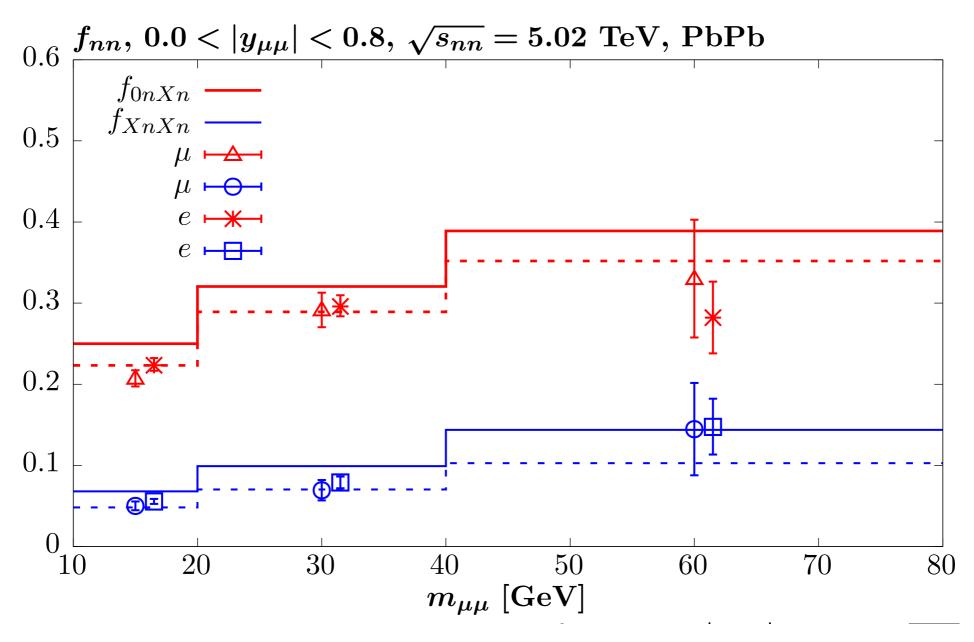
Can combine  $m_{\mu\mu}$  and  $y_{\mu\mu}$  to estimate photon energies

$$k_{1,2} = (m_{\mu\mu}/2) \exp(\pm y_{\mu\mu})$$

Overall good agreement but clear enhancements at low and high k: consistent with relaxing impact parameter cuts in STARlight (Harland-Lang, et al)

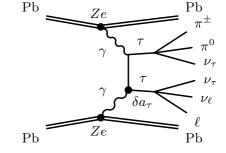


#### Superchic 4.2 vs. data

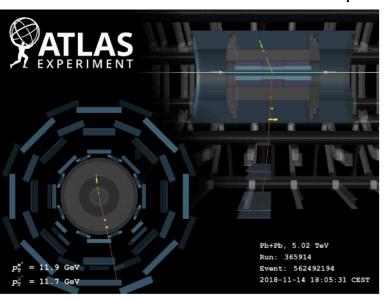


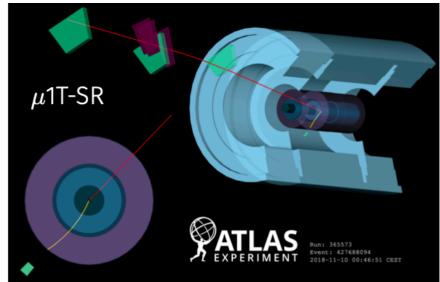
New implementation of neutron fragmentation, good comparison w/ ee and  $\mu\mu$  data with nominal fluxes (solid lines), better description after reducing  $\gamma A$  cross sections (dotted lines)

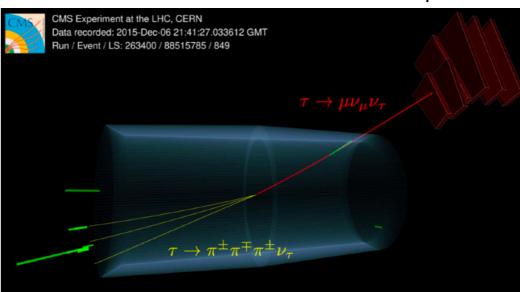
#### $a_{\tau}$ from $\tau^+\tau^-$ in Pb+Pb



 $\mu$ +1 track  $\mu$ +3 track

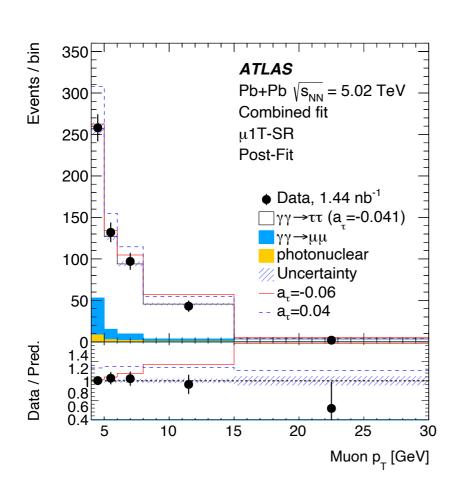


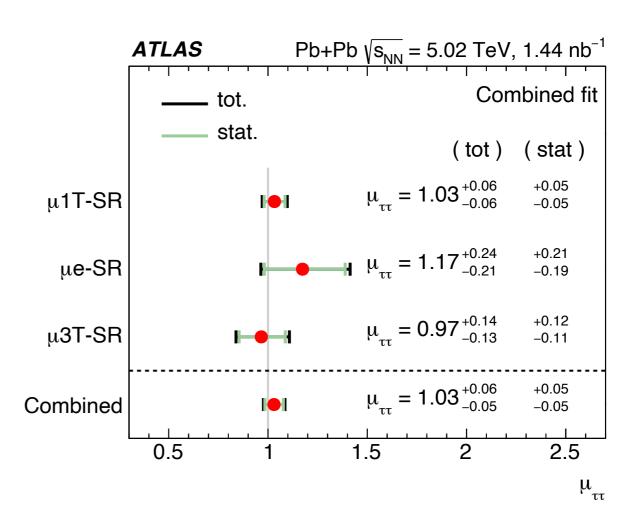




- Anomalous magnetic moment of tau leptons sensitive to physics beyond the standard model
  - Development of theory frameworks in 2019/2020, and new measurements from CMS and ATLAS from Run 2 Pb+Pb data from LHC!
- Three channels available: eμ, μ+track, μ+3 tracks
  - ATLAS uses all 3 channels in 2018 (1.44 nb<sup>-1</sup>), requiring 0n0n and cluster veto to suppress dissociative and hadronic backgrounds
    - $\circ$  fits for  $a_{\tau}$  using modifications to  $p_{\tau}(\mu)$  distributions, using  $\mu\mu$  to normalize photon flux

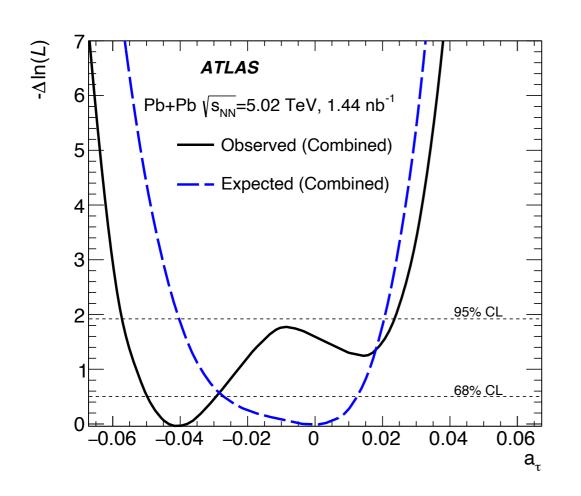
#### ATLAS: T+T- likelihood fits

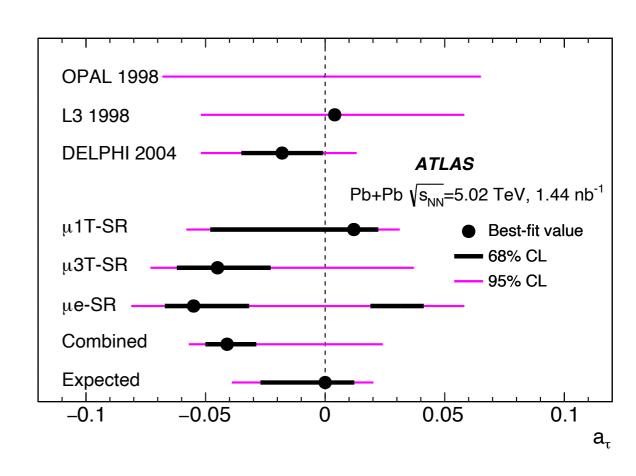




- Profile likelihood fits incorporate all three decay modes (~650 events), and the μμ yields to normalize the photon flux
- Combined yield consistent with SM

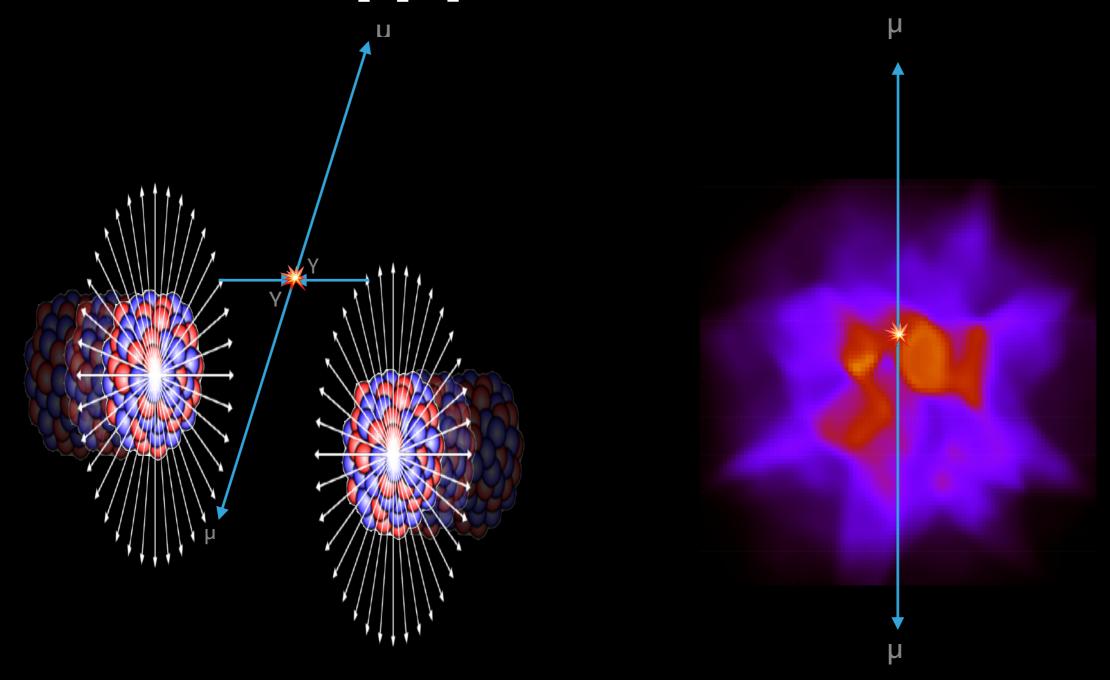
# ATLAS: $\tau$ g-2 95% CL limits





- likelihoods as a function of a<sub>τ</sub> derived using profile likelihood fit
  - templates from Dyndal et al (PLB 809 (2020) 135682)
- Observed 95% CL limits from  $a_{\tau} \in (-0.057, 0.024)$ 
  - Limits similar to that extracted from DELPHI (e+e-) in 2004
  - Expecting substantial improvements from Run 3 & 4 data!

# Exclusive yy processes in nonUPC



- Even as the nuclei overlap, one can still expect to observe dileptons from gamma-gamma processes
  - Can they resolve any aspects of the QGP evolution or initial B fields?

# nonUPC µµ measurement

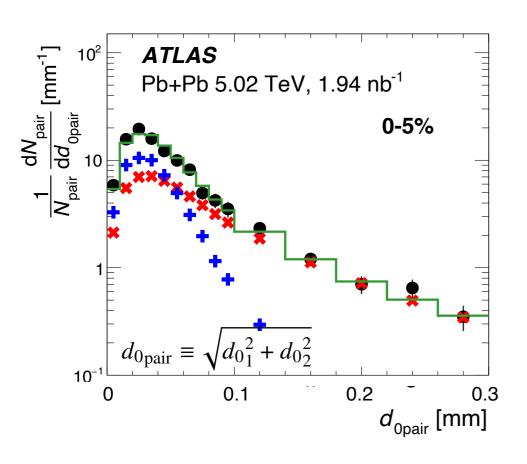
- Use both 2015 and 2018 Pb+Pb datasets: total of 1.94 nb<sup>-1</sup>
  - 1.5% uncertainty on luminosity
- Preselections
  - Opposite-charge muon pairs with muon p<sub>T</sub>>3.7 GeV, |η|<2.4</li>
  - Pair mass < 45 GeV</li>
- HF rejection using transverse and longitudinal impact parameters
  - $d_{0pair} < 0.1 \text{ mm}, (z_0 \sin \theta)_{pair} < 0.2 \text{ mm}$

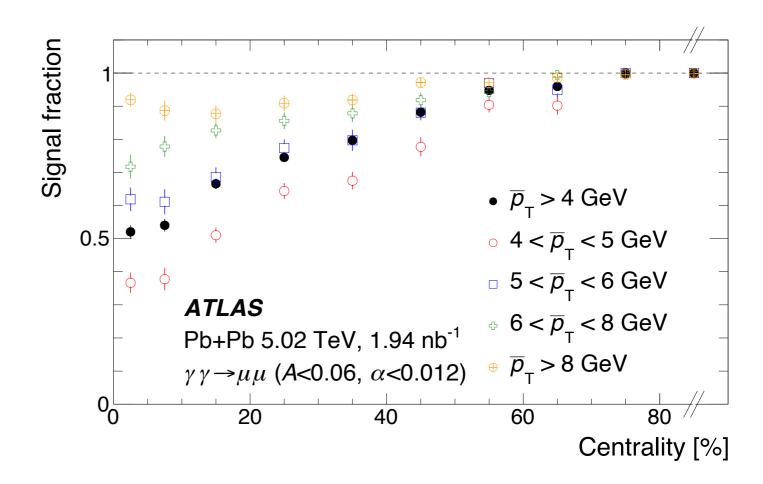
$$d_{0\text{pair}} \equiv \sqrt{{d_0}_1^2 + {d_0}_2^2},$$

 $(z_0 \sin \theta)_{\text{pair}} \equiv \sqrt{(z_0 \sin \theta)_1^2 + (z_0 \sin \theta)_2^2}.$ 

- Pair variables reflecting transverse kicks
  - acoplanarity  $(\alpha=1-|\Delta \phi|/\pi)$
  - pair  $k_T = 0.5(p_{T1} + p_{T2})\pi\alpha$
  - pair momentum asymmetry  $A = |p_{T2}-p_{T1}|/(p_{T2}+p_{T1})$
- Fiducial regions based on α or kT
  - "Fid- $\alpha$ ": A < 0.06 &  $\alpha$  < 0.012 (69490 pairs)
  - "Fid- $k_T$ ": A < 0.06 &  $k_T$  < 150 MeV (67789 pairs)
- Centrality based on forward transverse energy (as is typical for HI measurements)
  - Regions beyond 90% not well defined due to UPC contamination, so utilize 4 regions based on absolute E<sub>T</sub> value

### Signal extraction

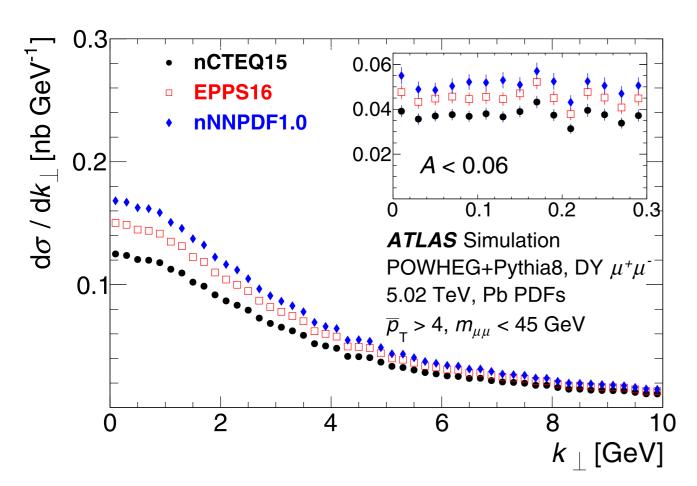




Pair d<sub>0</sub> distributions fit to signal (STARlight+HIJING) and HF background (data-driven, cut inversion) templates to extract signal fraction for each centrality selection.

Background is negligible for very peripheral events, but is nearly half the yield in central events!

#### **Drell-Yan contributions**



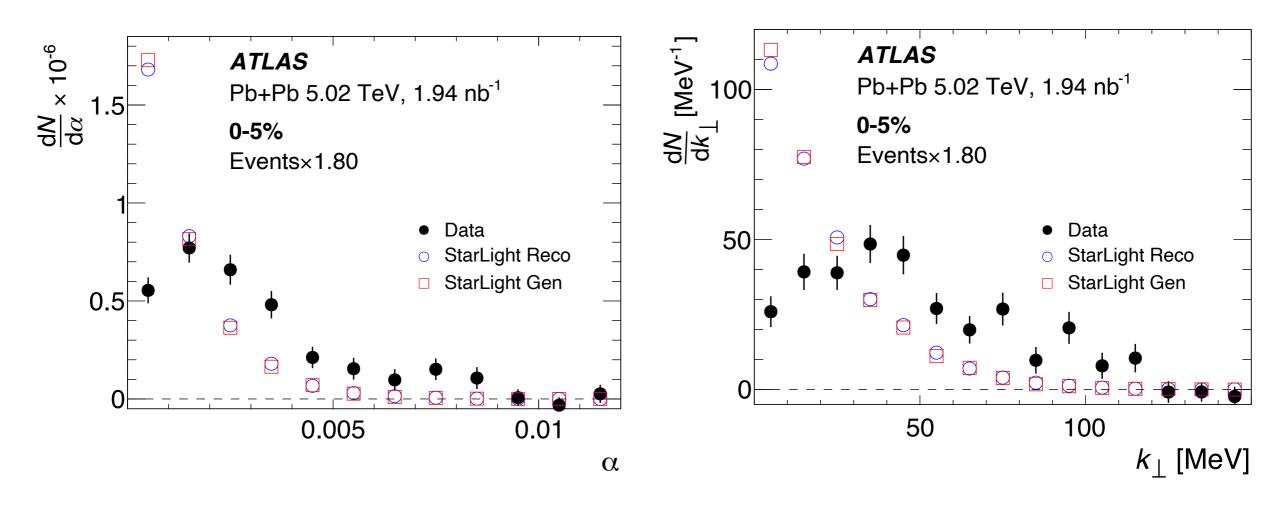
Drell-Yan dimuons result from scattering of quarks and anti-quarks typically with low-x, so sensitive to nuclear shadowing.

Calculated using 5 nPDF sets, which vary by about 30% (but all are at least 30% lower than CT14 NNLO)

While there is a strong dependence on  $\alpha$  and  $k_T$  overall, within the Fid- $\alpha$  and Fid- $k_T$  regions, the cross sections are ~flat in  $\alpha$  and  $k_T$ : contribution similar to HF

PDF set	$\sigma_{ m DY,NN}^{ m Fid-}( m pb)$	$\sigma_{ m DY,NN}^{ m Fid-}k_{\perp}$ (pb)
nCTEQ15	$12.9 \pm 4.2$	$7.68 \pm 2.66$
EPPS16	$15.2 \pm 5.7$	$9.14 \pm 3.60$
nNNPDF1.0	$16.6 \pm 8.7$	$10.1 \pm 5.38$
nNNPDF2.0	$17.1 \pm 1.8$	$10.5 \pm 1.15$
TUJU19	$17.2 \pm 1.8$	$10.4 \pm 1.6$
CT14 NNLO	$24.4 \pm 2.3$	$15.2 \pm 1.4$

# Signal distributions

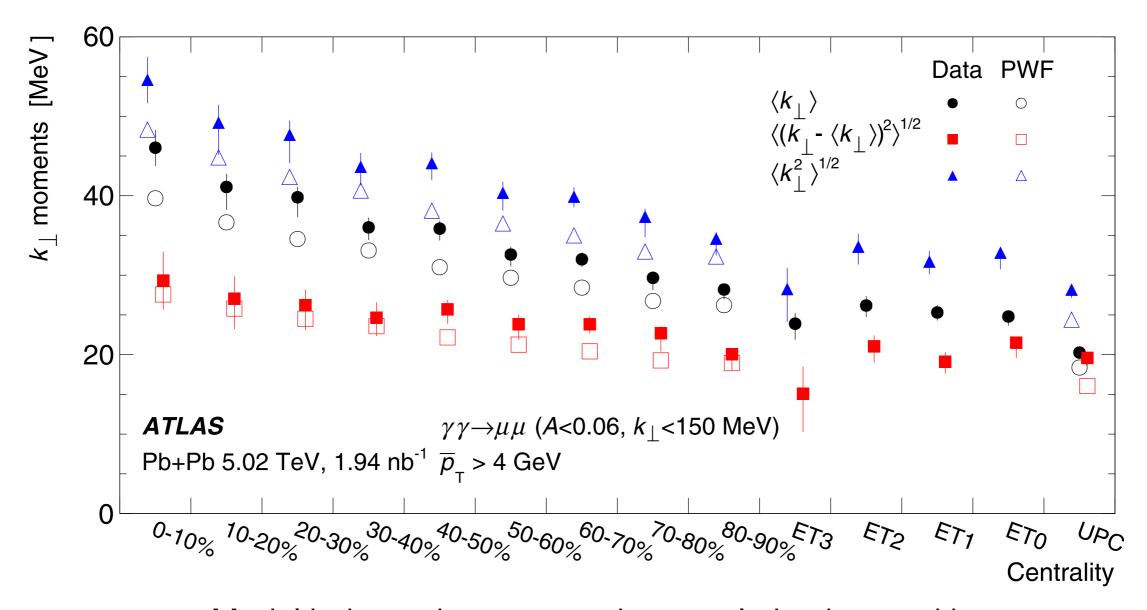


After background subtraction (heavy flavor and Drell -Yan, both flat), broadening studied in both variables.

In more central events, angular variables are visibly broader than the distributions observed in standard UPC events, with a significant <u>dip</u> near zero

 $k_{\perp}$  better behaved than  $\alpha$ , with no dependence on muon  $p_{\perp}$ 

# **Centrality evolution**

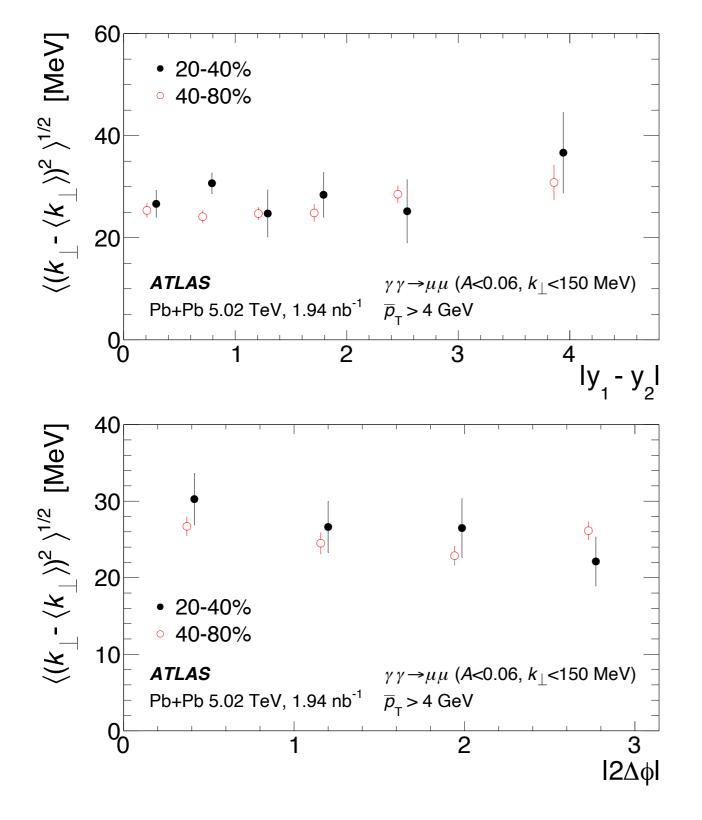


Model independent way to show evolution in  $\alpha$  and  $k_T$ 

k⊤ shown here, calculated from distributions prior to background subtraction and then corrected by an analytic expression

Even ET0 is increased relative to UPC, and increases with decreasing centrality, but data consistently exceeds PWF calculation (similar conclusions for  $\alpha$  vs. PWF & QED)

### Probing initial magnetic fields



In principle, strong magnetic fields created in initial impact of heavy ions, which have been predicted to impact trajectories of muons.

B-fields lead to  $tanh(\Delta y)$  behavior (Klein et al)

B fields follow impact parameter vector, so may show  $2(\phi_{\mu\mu}-\psi_2)$  dep.

$$\phi_{\mu\mu} = \frac{1}{2}(\phi_1 + \pi + \phi_2)$$

Current data show no  $tanh(\Delta y)$  dependence of broadening (either mean or variance) and no dependence on event plane

#### Conclusions

- Ultraperipheral collisions are a unique opportunity to study photon-photon and photon-nucleus (& nucleon) physics in a clean environment, synergistic w/ EIC
- Dileptons provide the most direct & precise way to check the assumed photon fluxes
  - Important for precise calculations of LbyL and tau g-2!
  - Using the ATLAS ZDC, probe the geometric aspects of fluxes
- Cross sections sections for UPC μμ (2021) and ee (just published!)
  - Systematic studies of the calculations show broad agreement with data, but non-trivial differences
  - ZDC selections study "centrality dependence"
- Tau lepton g-2 studied with 3 decay channels
  - Limit after Run 2 already competitive with existing LEP2 limits
- Non-UPC interactions provide a fascinating laboratory for QED calculations and a possible testing ground for effects associated with strong magnetic fields
  - Non-trivial interference effects leading to "dips" at low  $\alpha$  and  $k_T$
  - Described well with QED calculations, but with no evidence for strong initial magnetic fields