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# **The ATLAS Experiment**

# **ATLAS** Calorimeters



~200,000 channels in total
6-7 longitudinal segments
for |eta|<3.2</li>
3 longitudinal segments for
3.2<|eta| <4.9</li>



# **ATLAS Calorimeter Summary**

## **Non-compensating calorimeters**

Electrons generate larger signal than pions depositing the same energy

Typically  $e/\pi \approx 1.3$ 

# High particle stopping power over whole detector acceptance $|\eta|{<}4.9$

~23-35  $X_0$  electromagnetic calorimetry

 $\sim 10\,\lambda$  total for hadrons

# Hermetic coverage

No significant cracks in azimuth

Non-pointing transition between barrel, endcap and forward

Small performance penalty for hadrons/jets

# **High granularity**

## About 190,000 readout channels

Highly efficient particle identification

- Jet substructure resolution capabilities
- Local hadronic calibration using spatial signal distributions

Signal processing optimized for pile-up (see appendix)







# Hadronic Final State Reconstruction with the ATLAS Calorimeter

## **Calorimeter signal scales**

Electromagnetic (EM) scale for calorimeter cells

Derived from electron test beams & simulations

Hadronic (HAD) scale from cell signal weighting

2 different schemes – global in jet context, and local in cluster context

# Signal summation

#### Towers (EM scale only)

sum EM energy of all or selected cells on regular  $\Delta\eta{\times}\Delta\varphi{=}0.1{\times}0.1$  grid

#### Clusters (EM & HAD scale)

Collect topologically connected cells with significant signals into 3-dim energy blobs

Implies noise suppression at cell level – can be used to select cells before tower formation

Can be used to apply local HAD scale

#### Towers and clusters are massless pseudo-particles

#### **Convention in ATLAS**

Can really only accept E>0 input in jet finding



(drawings by K. Perez, Columbia University)

Unbiased calorimeter tower is a "slab" of energy in a regular pseudorapidityazimuth grid (each tower covers the same area in this frame of reference)

Topological cell cluster is a "blob" of energy dynamically located inside the calorimeter (even crossing sub-detector boundaries)

Noise suppressed towers are sparsely populated slabs of energy in a regular pseudorapidityazimuth grid (each tower covers the same area in these coordinates)





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# THE UNIVERSITY Signal Scales for Hadronic Final State

P. Loch U of Arizona August 25, 2010

# **Electromagnetic (EM) scale**

Suffers from large fluctuations due to calorimeter signal features

Static calibration without jet-by-jet corrections for hadronic signal characteristics

#### Least algorithm biases

Good control for systematic uncertainties for first collision data

Still basis of present default jet calibration in ATLAS

# Hadronic (HAD) scales

#### Attempt to reduce signal fluctuations dynamically

Implicit or explicit use of calorimeter signal features, e.g. cell energy density, spatial cell signal distribution

## Global Cell Weighting (GCW) in jet context

Apply cell signal weights derived in resolution minimalization fits of matching particle level and calorimeter jets in MC

Correlates dead material and other jet particle energy losses (magnetic field) with weights from non-compensation

Can be applied to cells in clusters or towers

### Local Cell Weighting (LCW) in cluster context

Cluster classification tags clusters with photon-like shower shapes

Applying cell signal weights in hadronic cluster reconstructs total deposited energy at cluster location + near-by dead material losses

Factorizes corrections for e/h ≠ 1, out-of-cluster, and local dead material losses

No correction for acceptance losses (dead material & magnetic field) in jet context



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EM scale jet response :

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$$\begin{split} E_{0,\text{jet}} \\ \vec{p}_{0,\text{jet}} \end{split} = \begin{cases} \sum_{j=1}^{\text{towers } \in \text{ jet}} \left( E_{0,\text{tower}} = \left| \vec{p}_{0,\text{tower}} \right|, \vec{p}_{0,\text{tower}} \right)_{j} \\ \sum_{k=1}^{\text{clusters } \in \text{ jet}} \left( E_{0,\text{cluster}} = \left| \vec{p}_{0,\text{cluster}} \right|, \vec{p}_{0,\text{cluster}} \right)_{k} \end{cases} \approx \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV} \rightarrow -1 \text{ TeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 - 0.9 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ GeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ TeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ GeV} \end{bmatrix}}_{\sim 20 \text{ GeV}} \times \underbrace{ \begin{bmatrix} 0.6 \\ -20 \text{ GeV} \rightarrow -1 \text{ GeV} \end{bmatrix}}_{\sim 20 \text{ G$$

# Required calibration/corrections for EM scale jet signals

Missing e/h, dead material, acceptance corrections

Energy dependent signal deficits require corresponding corrections

## Corrected by application of jet level correction functions

# Functions determined with MC (PYTHIA QCD di-jets)

Parameterized in bins of true jet pT and pseudorapidity

For each jet algorithm and configuration (e.g., jet size)

### Numerical inversion techniques

Maintain response function shape in given phase space bin when transforming input variables from true to measured scales



Response function for true variables:

*E*<sub>jet,true</sub>

$$R_{jet}(p_{T,true,jet},\eta_{jet}) = \left\langle p_{T,EM,jet} / p_{T,true,jet} \right\rangle (p_{T,true,jet},\eta_{jet})$$
  
Response function for measured variables:  
$$R_{jet}(p_{T,EM,jet},\eta_{jet}) = R_{jet}(R_{jet}(p_{T,true,jet},\eta_{jet}) \cdot p_{T,true,jet},\eta_{jet})$$



# **MC Based JES Systematic Uncertainties**



ATLAS-CONF-2010-056 21/09/2010

# Putting it all together

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Conservative estimates for overall systematic uncertainty for first data

Dominant contribution for all pT from hadronic shower models

Dead material important for low pT regime

Similar uncertainties from E/p and testbeam

Jets composed from single particle response in collision and testbeam data and MC

Systematic uncertainty as of summer 2010! Significant improvements can be expected for winter 2011 conferences!





P. Loch U of Arizona August 25, 2010

#### Use of hadronic scales

#### Resolution improvements (GCW, LCW)

More dynamic calibrations sensitive to individual shower character in jet (GCW) or clusters (LCW)

#### Jet constituent calibrations

So far jets reconstructed from EM scale calorimeter signals in towers or clusters

Using input signals on hadronic scale improves performance and stability of kT and Anti-kT due to better relative signal calibration between photon and hadron component of jet

#### Consistent hadronic final state

LCW allows use of signals on the same scale for jets and missing transverse energy

#### Hadronic scales still need final JES corrections

LCW misses jet energy losses from particles completely escaping the calorimeters (dead material, magnetic field) – GCW not fitted in calorimeter crack regions etc.

### **Complex calibrations derived from MC**

#### Use of cell signal density

Cluster (LCW) and jet context (GCW) cell weighting

#### LCW uses cluster structures

Location, shape and sizes directly and indirectly used

#### Concern about model dependence

Observables feeding calibrations need to be well simulated

Some dependence on shower model details

## Validation of calibration input in collision data

#### First task to gain confidence in models and parameters

Comparison of signal spectra in minimum bias and jet events

#### Factorized approach in LCW

Allows understanding each calibration and correction step individually

#### Jet shapes and energy sharing

Direct and indirect input on hadronic scale

Level of understanding also important for jet physics and hadronic event shapes!

# **Understanding Cells & Clusters in Jets**

<sup>آ</sup>10 ي

-\_\_\_\_\_10<sup>6</sup>

(>10<sup>5</sup> |⊒| |√10<sup>4</sup>

Z 10<sup>3</sup>

10<sup>2</sup>

Data/MC

-3.5

Calorimeter cell energy density distributions (e.g., for GCW, LCW)

10<sup>4</sup>

Data/MC

**Cells and clusters** inside jets!

Calorimeter cluster isolation measure (LCW)

(ICHEP2010)



ATLAS Preliminary

Data 2010 √s = 7 TeV

R=0.6 cluster jet

-3.5 -3 -2.5 -2 -1.5 -1 -0.5 0



Cluster isolation

Cluster isolation



[MeV<sup>-1</sup>mm<sup>3</sup>]

[ (<10<sup>6</sup> |<|||10<sup>5</sup>

, ₹<sup>104</sup>

Data/MC



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# **Cells and clusters** inside jets!



(ICHEP2010)



-k, R=0.6 cluster jets



Cluster energy at EM-scale [MeV]

 $10^{4}$ 

 $10^{3}$ 



AS-CONF-2010-053

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# **Understanding Clusters in Jets**



## **Test factorized calibration model**

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All functions and parameters derived from single particle simulations Non-trivial assumption that they work in collision physics environment! Factorization allows validation of each calibration/correction HAD clusters: cell weighting, out-of-cluster, dead material corrections EM clusters: out-of-cluster, dead material (not the same as for HAD!)

#### Checked for clusters in and outside of jets

Shown here for clusters inside jets

## **Promising for sub-jet calibration**

- Local hadronic scale is jet constituent scale
  - Can be understood at the 1-3% level!

#### Needs to be verified with high pT jets

Boosted hadronic W and top decays become slowly available in data



(a) Hadronic response weights

(b) Out-of-cluster weights

(c) Dead material weights



# **Kinematics and composition**

Understanding dependence of reconstruction quality on calorimeter signal choice

Direction and pT for cluster and tower jets

Number of constituents

Tower and cluster jets compared to particle level

Other observables related to composition

Longitudinal energy sharing – access to photon content of jets by measuring energy fractions in EM calorimeters (?)

# Jet shapes

Width

Calorimeter width measurement affected by particle flow and shower spread Track jets provide (reference) width with independent bias

## Annular transverse energy flow

Jet fragmentation and source (light quark/gluon) sensitivity Use in jet-by-jet calibration to be explored

# Note

Nearly all comparisons in the following plots are to Pythia with the ATLAS MC09 tune!

... if not specifically mentioned otherwise!









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# **Calorimeter Jet Composition**

![](_page_18_Figure_3.jpeg)

×10<sup>3</sup>

Number of tracks pointing to calorimeter jets sensitive to fragmentation (model)

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Average number of reconstructed tracks pointing to calorimeter jet – more soft tracks in data

![](_page_19_Figure_4.jpeg)

![](_page_19_Figure_5.jpeg)

![](_page_19_Picture_6.jpeg)

ATLAS-CONF-2010-053 28 July 2010

# **Track pT fraction**

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**Tool for fragmentation validation** 

Needs to be understood in the context of pile-up in jets (least biased estimator?)

## Handle for jet-by-jet calibration

Large track momentum fraction indicates hadron rich jet – can be exploited for jet calibration

![](_page_20_Figure_7.jpeg)

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# **Understanding Jet Width**

![](_page_21_Figure_2.jpeg)

22

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**Radial Jet Shapes in Tracking & Calorimeter** 

![](_page_22_Figure_2.jpeg)

# **Jet Distances**

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## Jets seem wider in data than in MC

#### Direct width measurement

Track width confirms calorimeter observation

#### **Different composition**

More towers and clusters in data

#### Indication of physics sources

#### Nearby jet activity

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More low pT jets close to hardest jet in data than in MC

#### Measurement

Distance from hard jet to nearest (soft) jet

Hard jet pTmin < pT < pTmax

Neighbouring jet pT > 7 GeV

#### Di-jet structure clearly emerges

Peak at  $\pi$  as expected from back-to-back scattering

#### Far distance distribution well modeled

More small angle radiation in data? Unclustered jet fragments?

![](_page_23_Figure_18.jpeg)

Number of Jets/0.2

![](_page_23_Picture_20.jpeg)

# Testing various MC models and tunes

- Differential radial jet shape
  - Reconstructed from clusters, corrected to particle level

# Unfolding procedure

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Bin-by-bin (pT and eta) using fully simulated Pythia-Perugia2010 (best match to data)

#### Correction factors 0.95-1.1, typically

$$\rho(r) = \frac{1}{\Delta r} \frac{1}{N_{\text{jet}}} \sum_{\text{jets}} \frac{p_{\text{T}}(r - \Delta r/2, r + \Delta r/2)}{p_{\text{T}}(0, R)}$$

with  $\Delta r/2 \leq r \leq R - \Delta r/2$ 

Integrated jet shape :

 $\Psi(r) = \frac{1}{N_{\text{jet}}} \sum_{\text{jets}} \frac{p_{\text{T}}(0, r)}{p_{\text{T}}(0, R)} \text{ with } 0 \le r \le R$ 

![](_page_24_Figure_13.jpeg)

![](_page_24_Picture_15.jpeg)

0.3

0.25

anti-k, jets R = 0.6

(a)

# **Testing various MC models and** tunes

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![](_page_25_Figure_3.jpeg)

![](_page_25_Picture_5.jpeg)

![](_page_26_Picture_2.jpeg)

#### ATLAS jet reconstruction performed very well

Detailed understanding of jet reconstruction in first data

Topological cell clusters perform very well – formation and local calibration well understood

Also confirmed by missing transverse energy reconstruction Well motivated systematic jet energy scale error delivered quickly

Significant improvements expected in the next few weeks

### Some jet structures and shapes already well measured

#### Cluster jets promising for substructure analysis

Need more studies for high pT jets to understand possible merging problem

#### Indications that jets in data are wider than in MC (Pythia)

Calorimeter width measurement confirmed by jet width in tracker

#### Jet substructure reconstruction and calibration under study

Local hadronic calibration seems applicable within small systematics – promising starting point for sub-jet calibration Hope to increase data sample with jets including 2-prong (W) and 3-prong (top) hadronic decays

#### Single jet mass reconstruction to be validated

Performance not yet completely understood – geometry effect in towers adds mass while hadronic shower merging in clusters reduces reconstructed mass

### Lots of interesting aspects still to look at!

And sorry for not being in Boston in person!

![](_page_26_Figure_19.jpeg)

![](_page_26_Picture_21.jpeg)

![](_page_27_Picture_0.jpeg)

# **Backup Slides**

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![](_page_27_Picture_3.jpeg)

# **ATLAS Topological Cell Clusters (1)**

### Signal extraction tool

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Attempt reconstruction of individual particle showers Reconstruct 3-dim clusters of

cells with correlated signals

Use shape of these clusters to

#### locally calibrate them

Explore differences between electromagnetic and hadronic shower development and select best suited calibration

#### Supress noise with least bias on physics signals

Often less than 50% of all cells in an event with "real" signal

#### Some implications of jet environment

Shower overlap cannot always be resolved Clusters represent merged particle showers in dense jets **Clusters have varying sizes** No simple jet area as in case of towers Clusters are mass-less 4-vectors (as towers) No "artificial" mass contribution due to showering Issues with IR safety at very small scale insignificant Pile-Up environment triggers split as well as merge Note that calorimeters themselves are not completely IR safe

![](_page_28_Figure_12.jpeg)

JINST 3: S08003, 2008

![](_page_28_Picture_15.jpeg)

#### **Cluster seeding**

Cluster seed is cell with significant signal above a primary threshold

#### **Cluster growth: direct neighbours**

Neighbouring cells (in 3-d) with cell signal significance above some basic threshold are collected

#### **Cluster growth: control of expansion**

Collect neighbours of neighbours for cells above secondary signal significance threshold Secondary threshold lower than primary (seed) threshold

### **Cluster splitting**

Analyze clusters for local signal maxima and split if more than one found Signal hill & valley analysis in 3-d

#### Final "energy blob" can contain low signal cells

Cells survive due to significant neighbouring signal

Cells inside blob can have negative signals

#### ATLAS also studies "TopoTowers"

Use topological clustering as noise suppression tool only Distribute only energy of clustered cells onto tower grid Motivated by DZero approach

![](_page_29_Picture_17.jpeg)

![](_page_30_Picture_0.jpeg)

![](_page_30_Figure_3.jpeg)

![](_page_30_Picture_4.jpeg)

![](_page_31_Picture_2.jpeg)

# Local hadronic energy scale restauration depends on origin of calorimeter signal

Attempt to classify energy deposit as electromagnetic or hadronic from the cluster signal and shape

Allows to apply specific corrections and calibrations

## Local calibration approach

Use topological cell clusters as signal base for a hadronic energy scale Recall cell signals need context for hadronic calibration

Basic concept is to reconstruct the locally deposited energy from the cluster signal first

This is not the particle energy

Additional corrections for energy losses with some correlation to the cluster signals and shapes extend the local scope

True signal loss due to the noise suppression in the cluster algorithm (still local) Dead material losses in front of, or between sensitive calorimeter volumes (larger scope than local deposit)

After all corrections, the reconstructed energy is on average the isolated particle energy

E.g., in a testbeam But not the jet energy

![](_page_31_Picture_14.jpeg)

![](_page_32_Picture_0.jpeg)

# **ATLAS Local Scale Sequence**

![](_page_32_Figure_3.jpeg)