

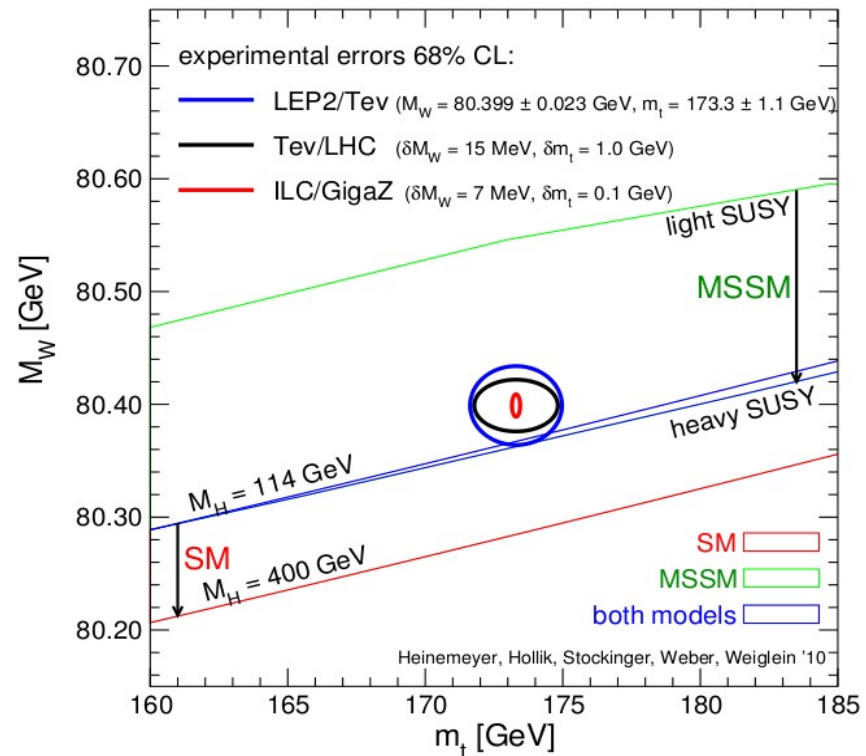
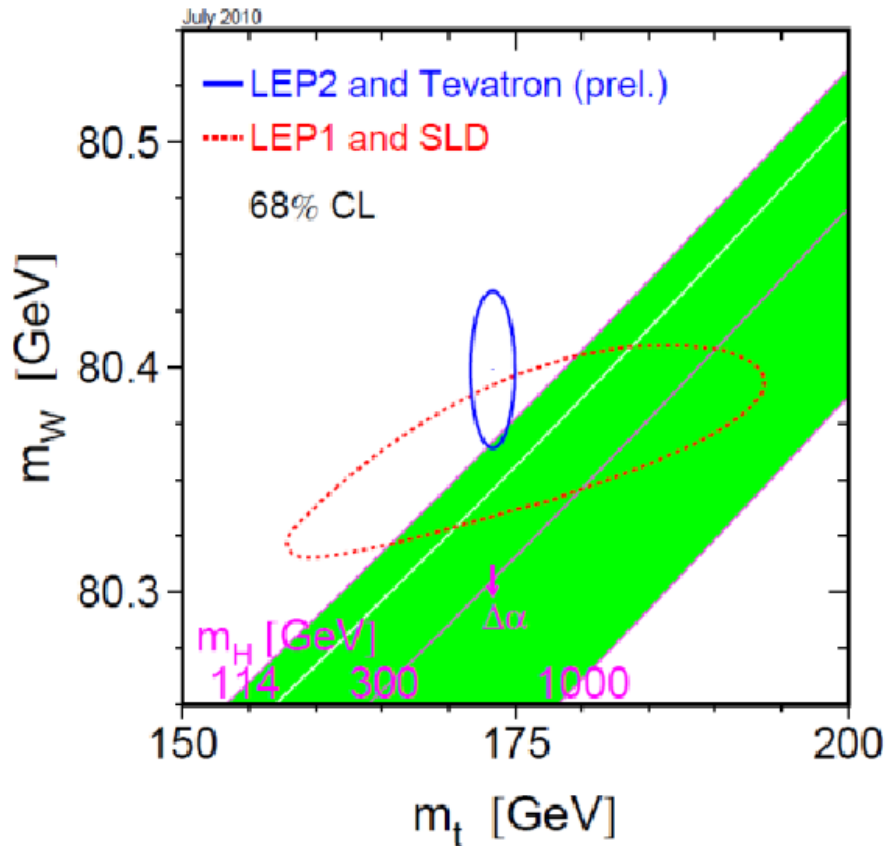
Towards High Precision with ATLAS

Maarten Boonekamp, IRFU

- Focus on Electroweak parameters from Leptonic final states
 - M_W
 - Probing higher scale interactions with Drell-Yan events
- Experimental and theoretical challenges in the LHC context
- Requirements for a sound measurement

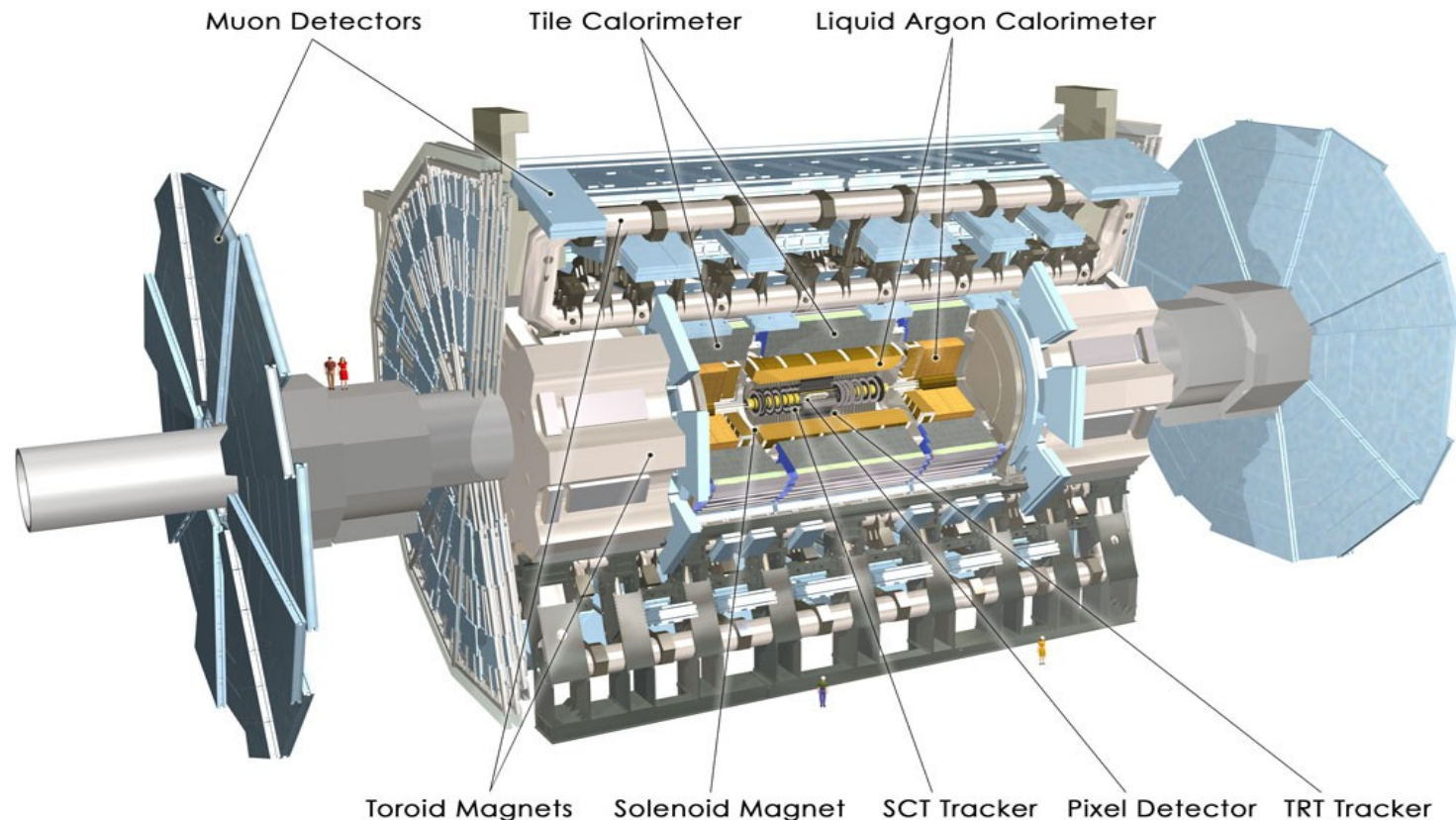
Why measure the W?

- Within the Standard Model framework, and with current knowledge, the W boson and top quark masses are the main handles to further constrain the Electroweak Symmetry breaking sector.



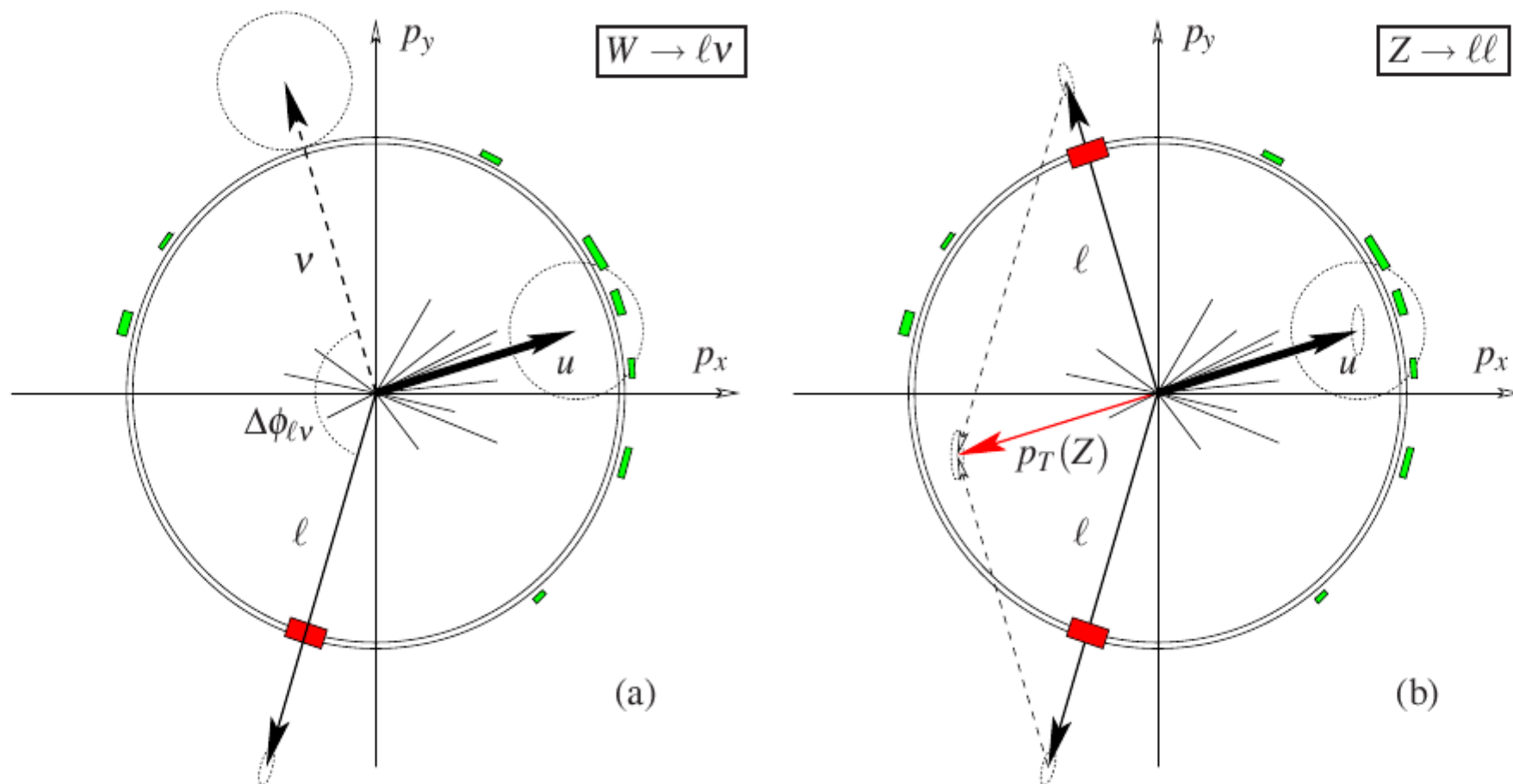
- Given expected LHC statistics and hard lower bounds, our objectives should be $\delta M_W \sim 5$ MeV and $\delta m_t \sim 0.5$ GeV.

Measuring W and Z with ATLAS



- Electron and muon reconstruction within $|\eta| < \sim 2.5$, and $p_T > \sim 5$ GeV. Resolution $\sim 2\%$ in the W,Z range, combining relevant subdetectors
- Calorimeter coverage up to $|\eta| \sim 4.9$ allows to measure the soft calorimetric activity, hence MET, with a resolution of 5-10 GeV.

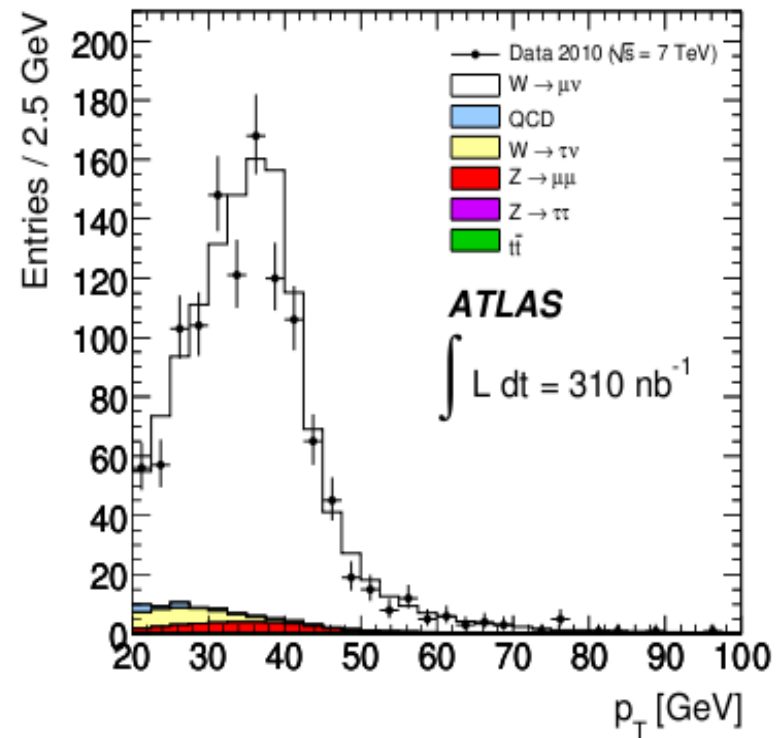
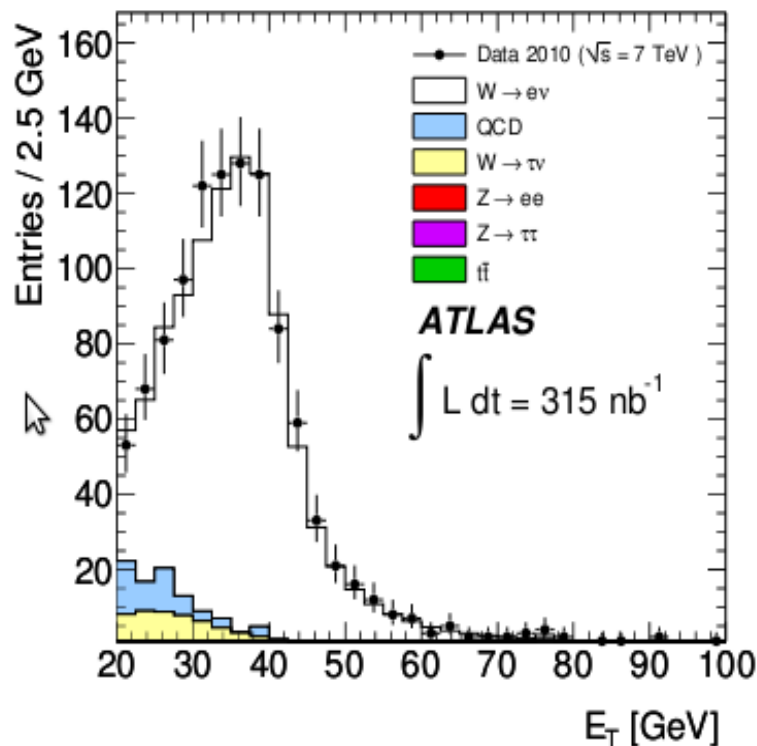
Measuring W and Z with ATLAS



W & Z production at the LHC : first shot

(ATLAS Coll., arXiv:1010.2130, acc.by JHEP)

- Integrated luminosity $\sim 0.3 \text{ pb}^{-1}$
- First aim : observation of the signals



W & Z production at the LHC : first shot

(ATLAS Coll., arXiv:1010.2130, acc.by JHEP)

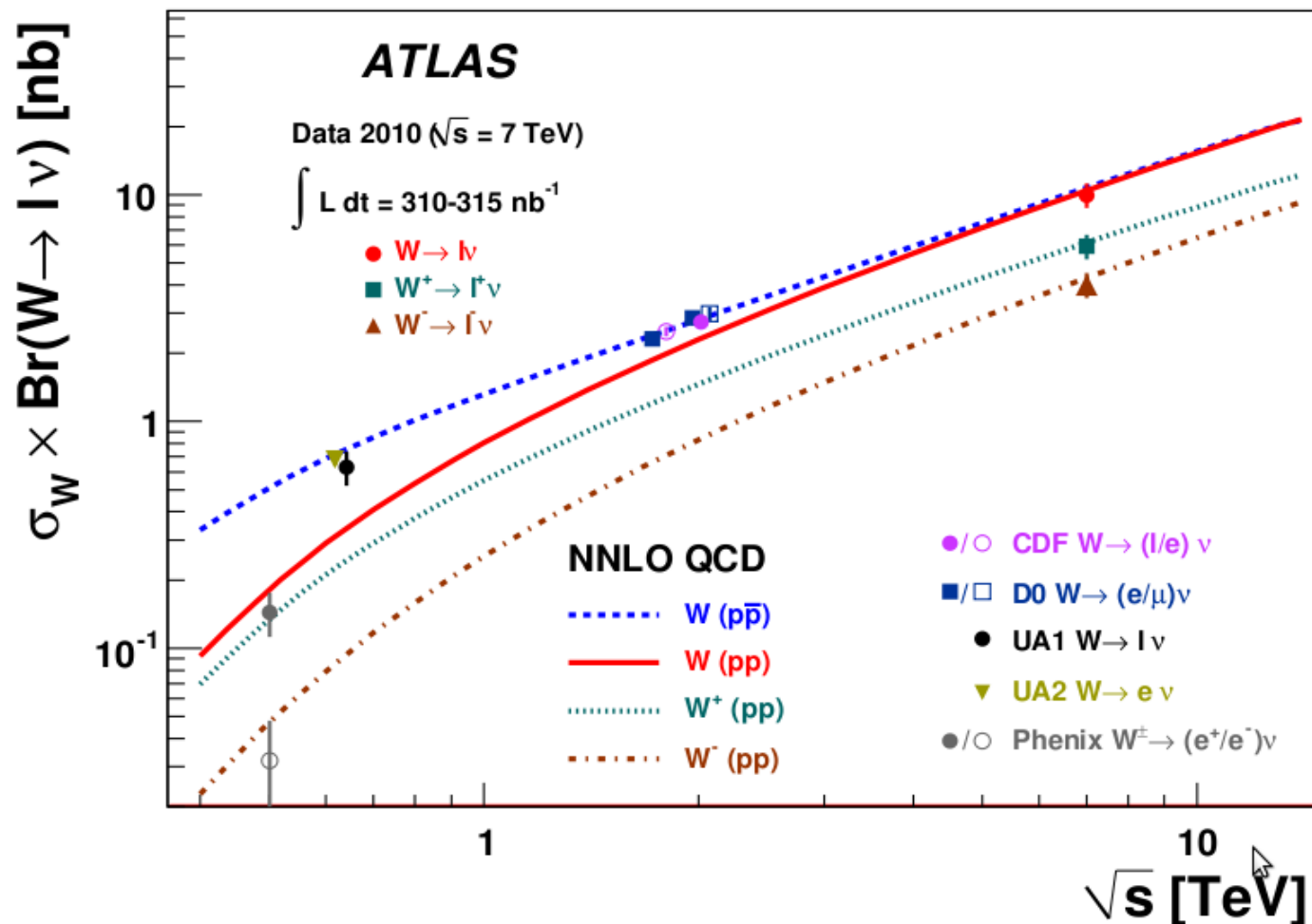
- Second aim : early cross section measurements
 - Fiducial cross sections : W & Z rates within our detector volume, corrected for efficiencies and resolutions

	$\sigma_{W(\pm)}^{\text{fid}} \cdot \text{BR}(W \rightarrow e\nu) \text{ [nb]}$	$\sigma_{W(\pm)}^{\text{fid}} \cdot \text{BR}(W \rightarrow \mu\nu) \text{ [nb]}$
W^+	$2.92 \pm 0.12(\text{stat}) \pm 0.21(\text{syst}) \pm 0.32(\text{lumi})$	$2.77 \pm 0.11(\text{stat}) \pm 0.12(\text{syst}) \pm 0.30(\text{lumi})$
W^-	$1.93 \pm 0.10(\text{stat}) \pm 0.14(\text{syst}) \pm 0.21(\text{lumi})$	$1.83 \pm 0.09(\text{stat}) \pm 0.08(\text{syst}) \pm 0.20(\text{lumi})$
W	$4.85 \pm 0.16(\text{stat}) \pm 0.34(\text{syst}) \pm 0.53(\text{lumi})$	$4.60 \pm 0.15(\text{stat}) \pm 0.20(\text{syst}) \pm 0.51(\text{lumi})$
	$\sigma_{Z/\gamma^*}^{\text{fid}} \cdot \text{BR}(Z/\gamma^* \rightarrow ee) \text{ [nb]},$ $66 < m_{ee} < 116 \text{ GeV}$	$\sigma_{Z/\gamma^*}^{\text{fid}} \cdot \text{BR}(Z/\gamma^* \rightarrow \mu\mu) \text{ [nb]},$ $66 < m_{\mu\mu} < 116 \text{ GeV}$
Z/γ^*	$0.33 \pm 0.04(\text{stat}) \pm 0.03(\text{syst}) \pm 0.04(\text{lumi})$	$0.43 \pm 0.04(\text{stat}) \pm 0.02(\text{syst}) \pm 0.05(\text{lumi})$

W & Z production at the LHC : first shot

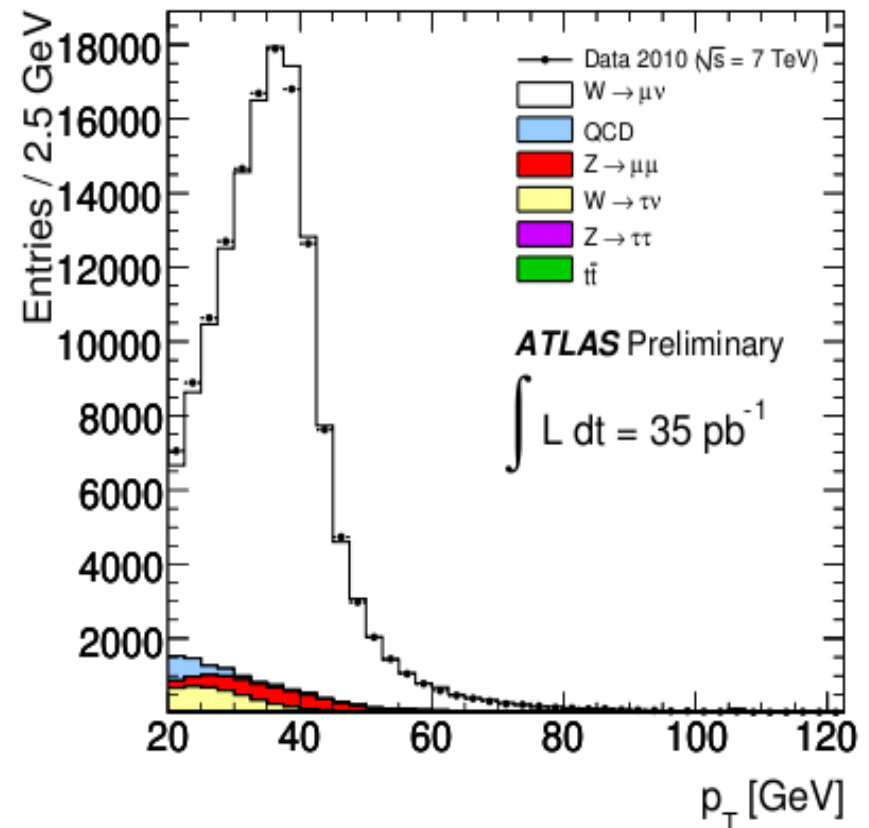
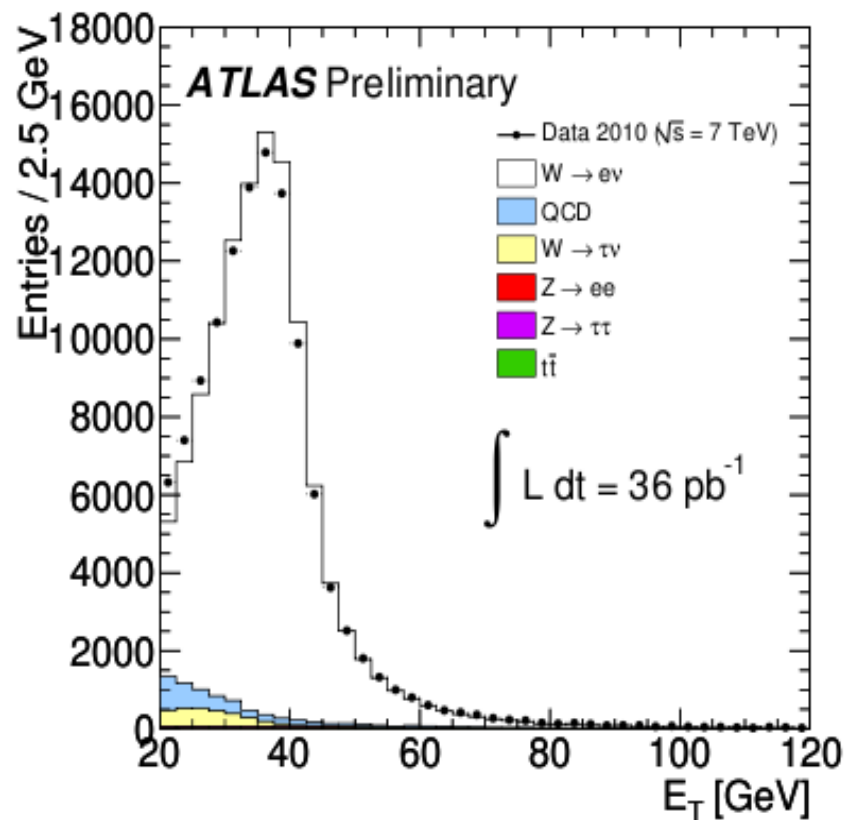
(ATLAS Coll., arXiv:1010.2130, acc.by JHEP)

- Comparison to theory



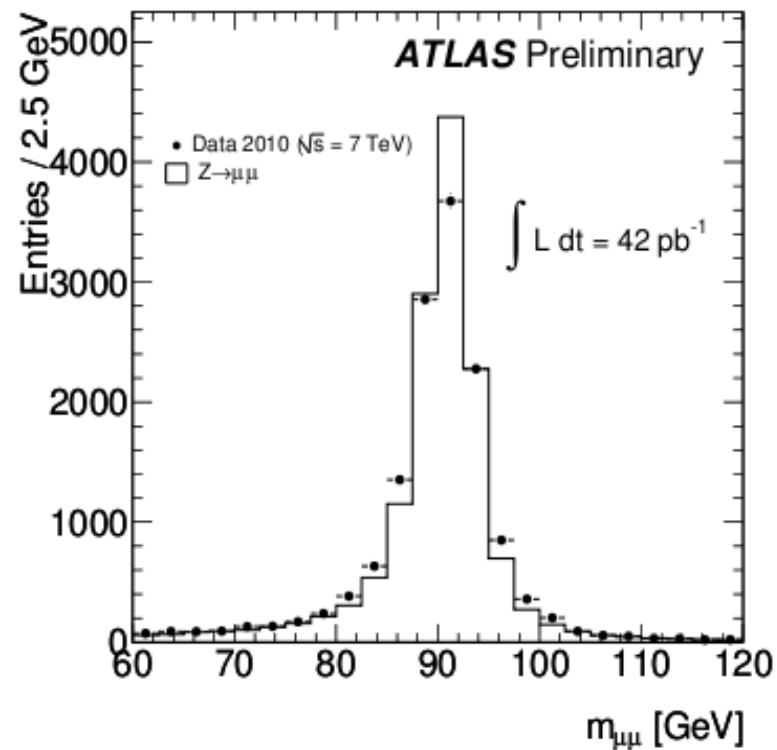
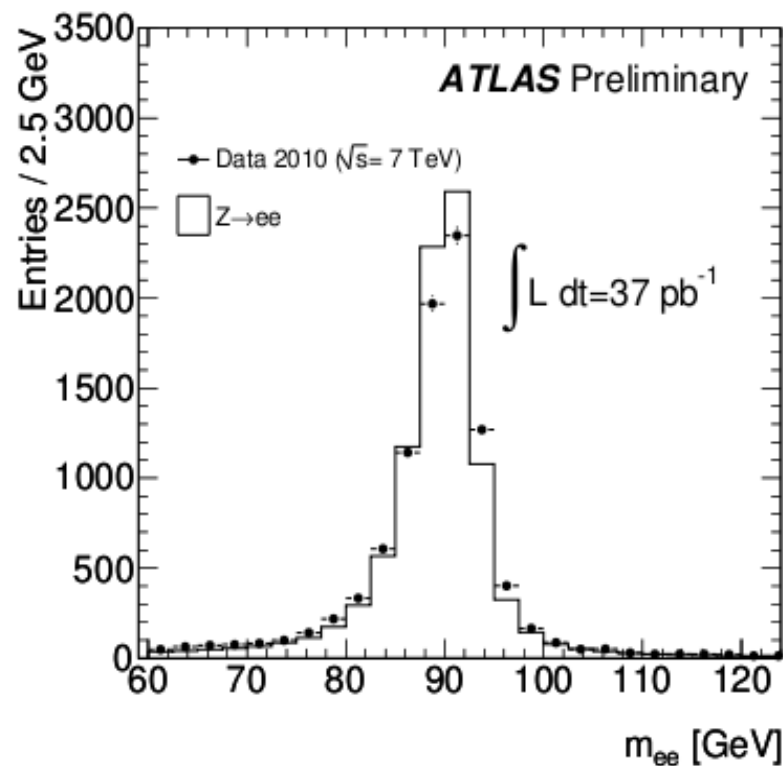
W & Z production : updated distributions

- $\sim 35 \text{ pb}^{-1}$
- $p_T(e, \mu)$ in W events



W & Z production : updated distributions

- $\sim 40 \text{ pb}^{-1}$
- $M(ee, \mu\mu)$ in Z events

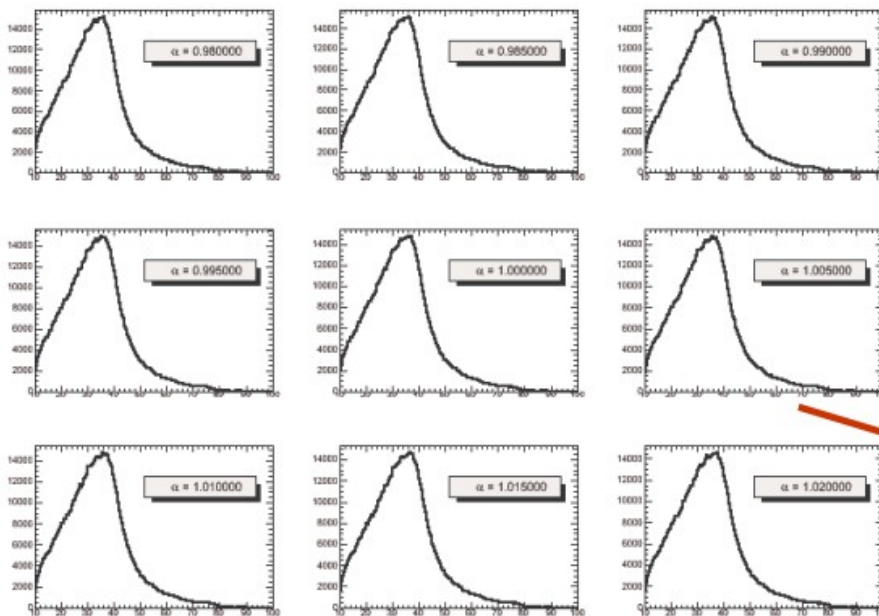


$$M_W$$

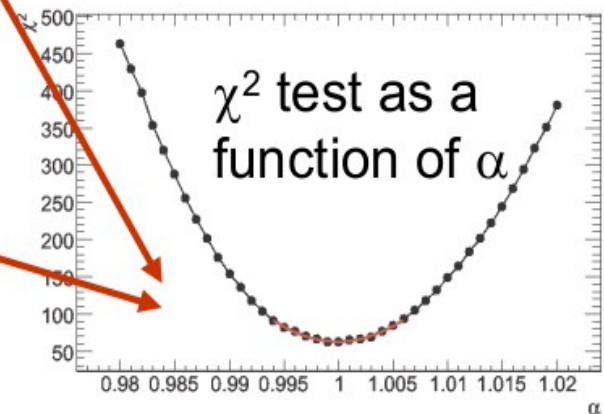
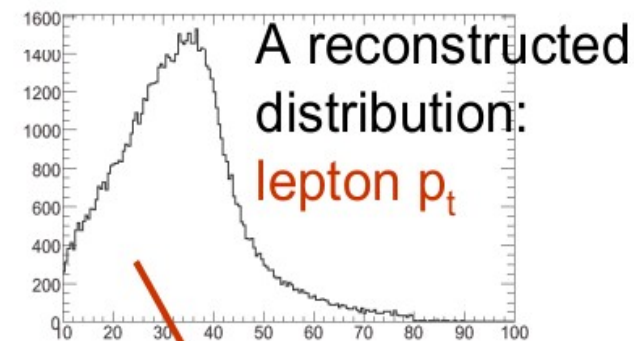
- About the prospective study
 - Up to 2008, ATLAS was still claiming ~25 MeV reach based on simple estimations
 - By then it was already clear that the Tevatron would do better with much less statistics
 - So we revisited all usual systematics to see whether we could improve – and we could, at least in principle
 - Finally the paper states that “~7 MeV is a reasonable goal”, motivating work in this direction.

M_w : measurement method

Compare data to models (templates) of the kinematical distributions

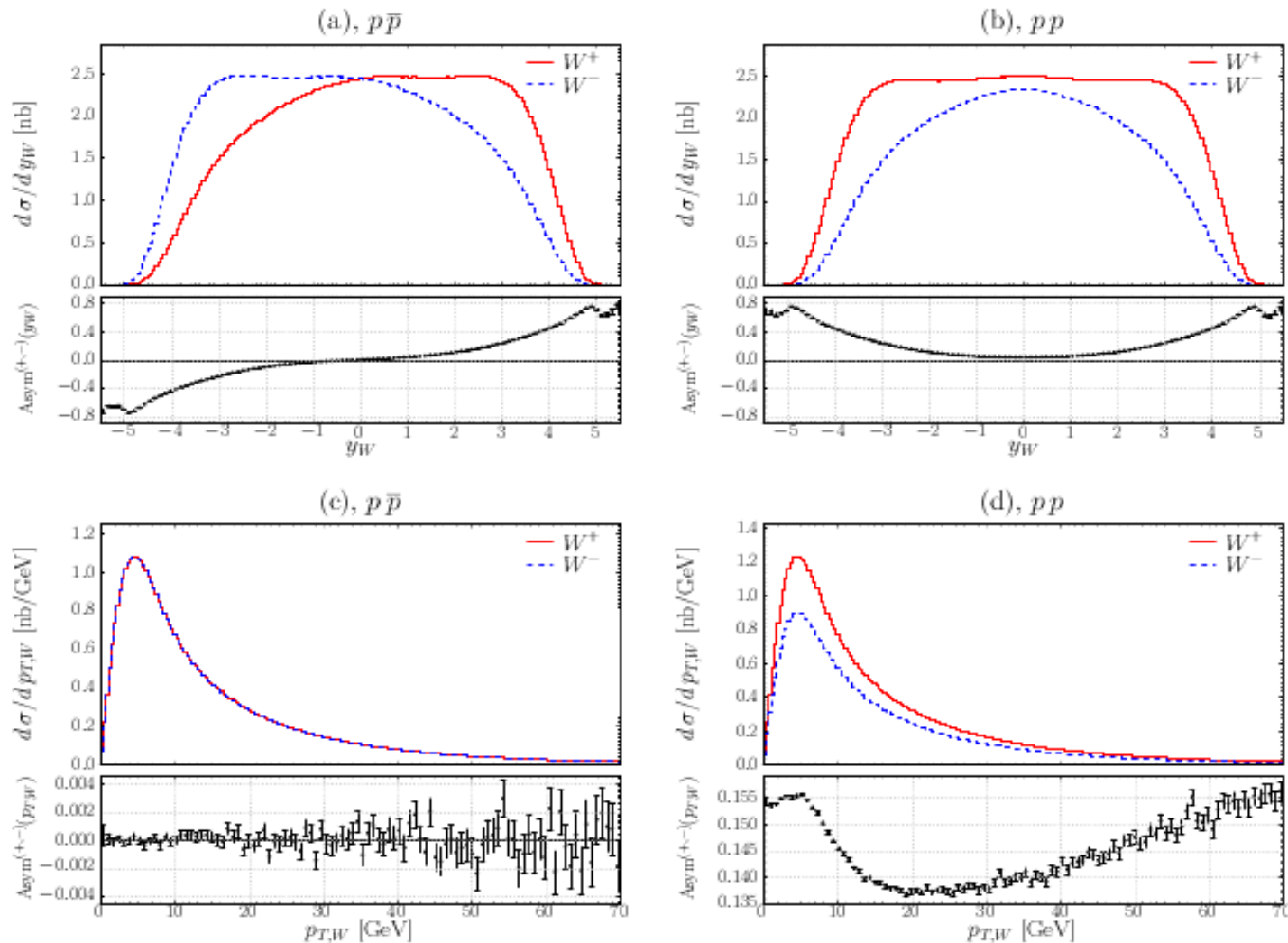


A set of distributions characterized by a scale factor α



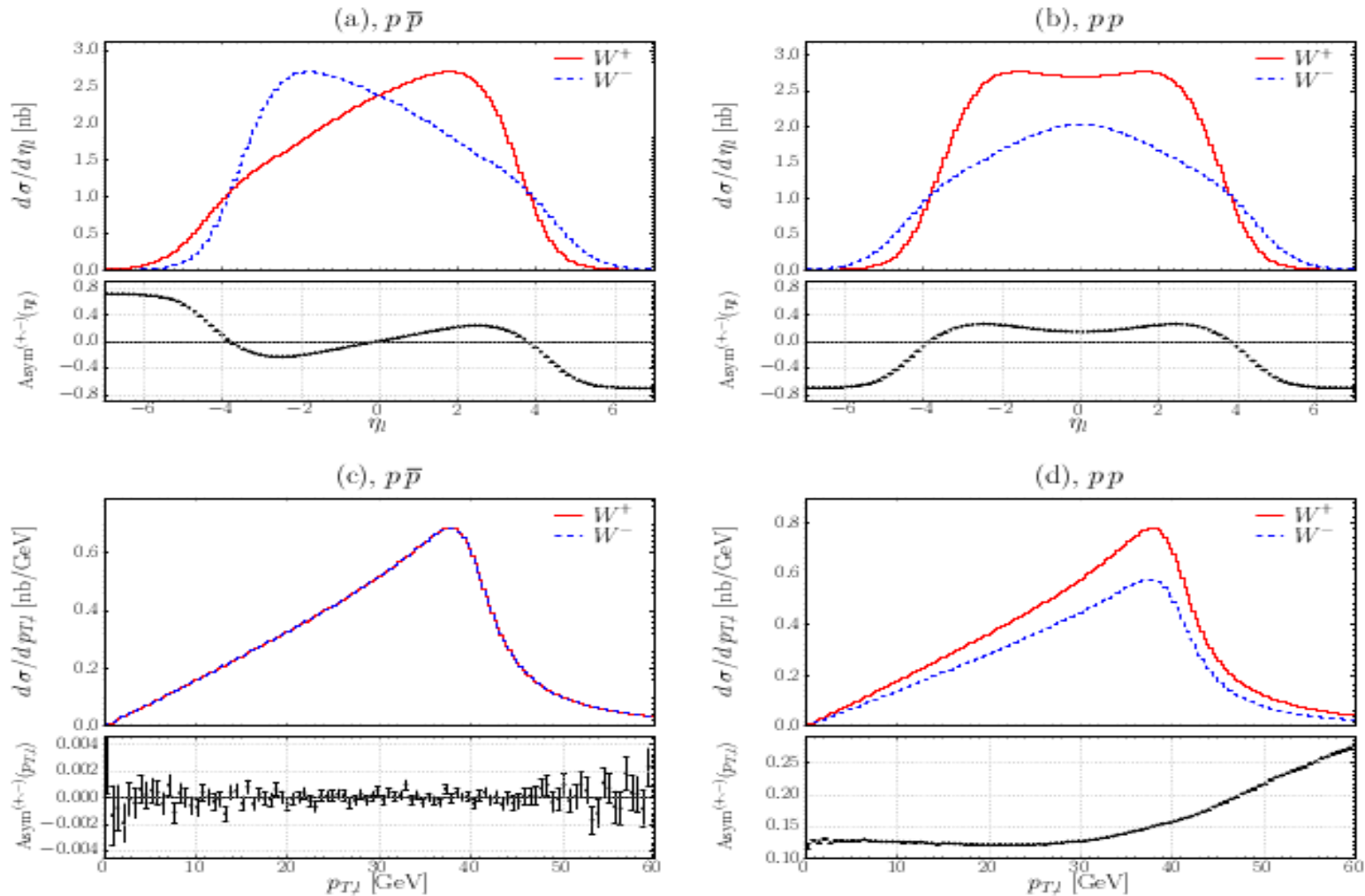
W physics : LHC specifics

- asymmetries



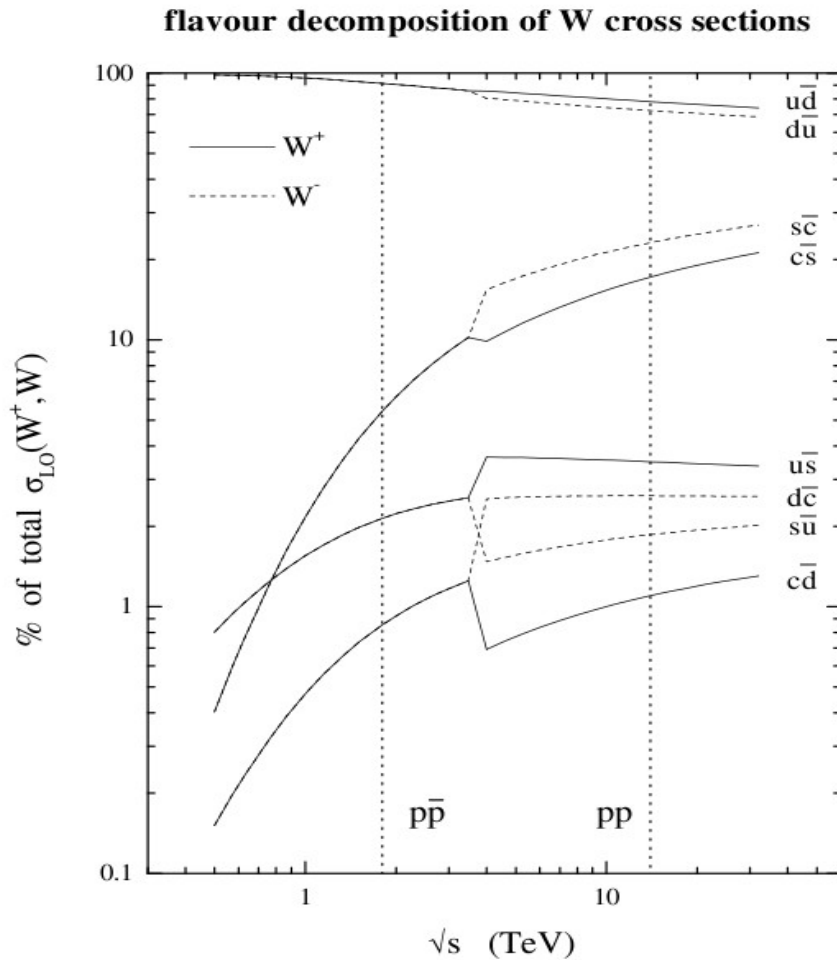
W physics : LHC specifics

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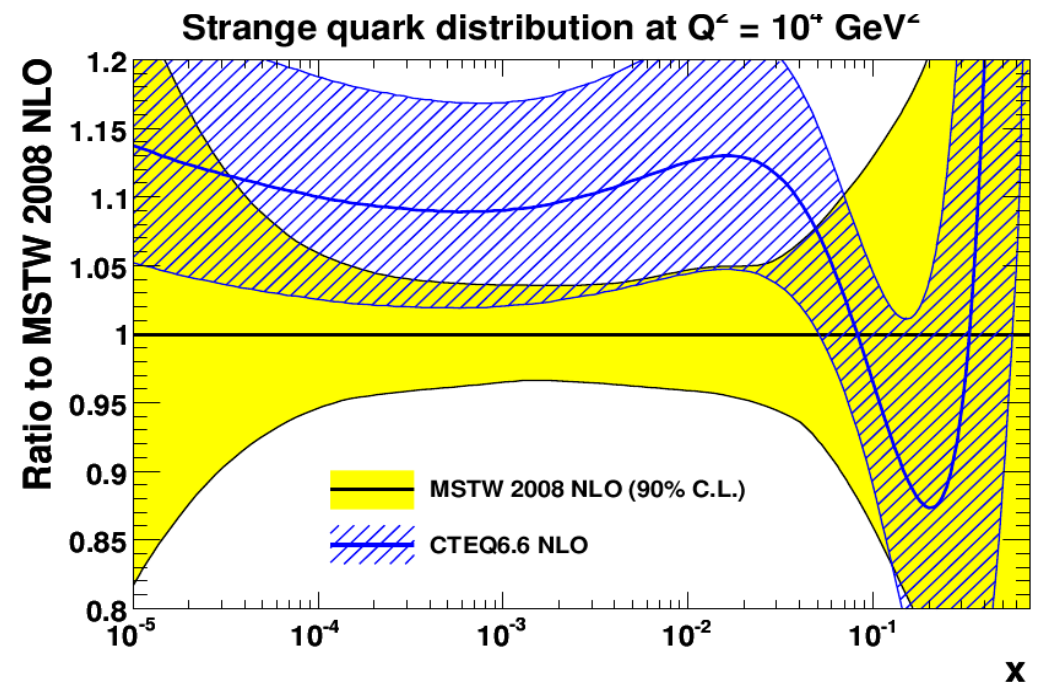


W physics : LHC specifics

- Strange contribution to W production



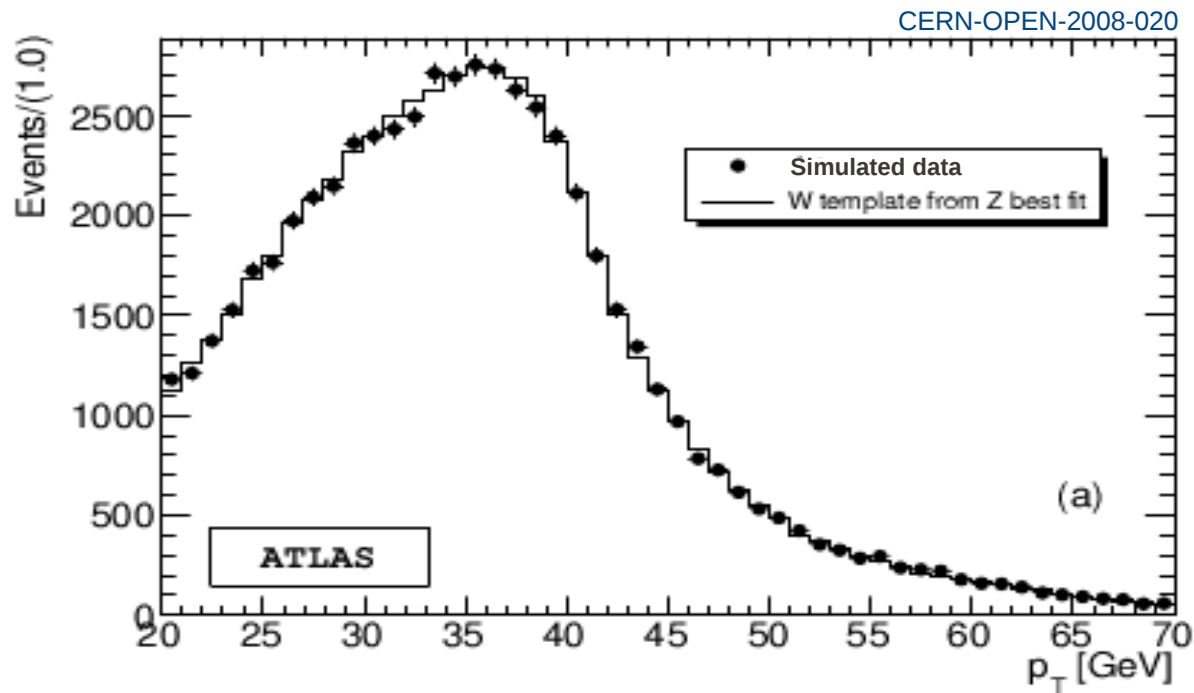
MRST, arXiv:hep-ph/9907231v1



MSTW, arXiv:0901.0002v3

M_W prospects with early data

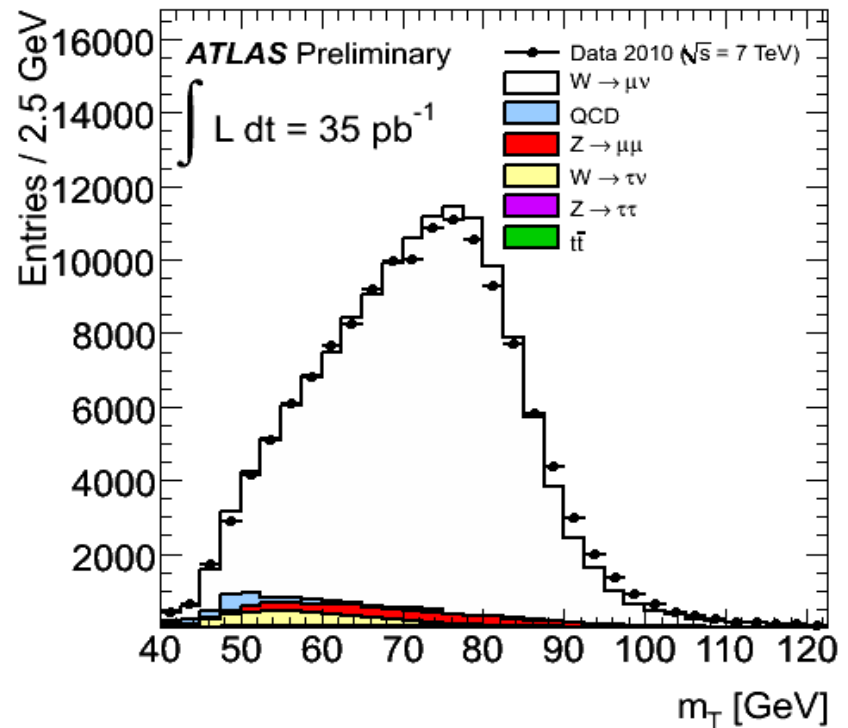
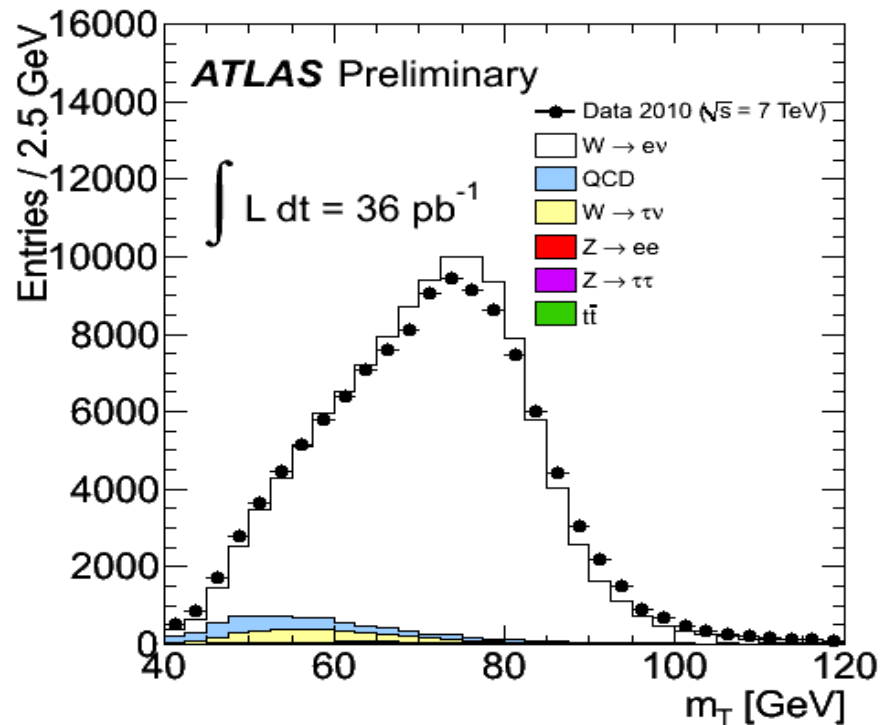
- Last prospective exercise with simulated data ($\sim 15 \text{ pb}^{-1}$)
 - Mock-data from full simulation; models from truth + smearing



- Statistical sensitivity
 - $p_T(l)$: $\sim 110 \text{ MeV / channel}$
 - $M_T(W)$: $\sim 60 \text{ MeV / channel}$ → 40 MeV overall

M_W prospects with early data

- Today : $\sim 36 \text{ pb}^{-1}$



- Statistical sensitivity with $\sim 120\text{k}$ events / channel, scaling from the previous study
 - $M_T(W)$: $\sim 40 \text{ MeV / channel}$ → 30 MeV overall
- And, as obvious from these distributions, a lot to understand first

Some projections...

... and starting to address the real questions

- **Statistical sensitivity.**

- Currently : $\sim 35 \text{ pb}^{-1}$ at 7 TeV : $\sim 10^5$ events x (e, μ) $\rightarrow \delta M_W(\text{stat}) \sim 30 \text{ MeV}$
- Guess for 2011/12 : $\sim 5 \text{ fb}^{-1}$ at 7 TeV : $\sim 1.5 \cdot 10^7$ events x (e, μ) $\rightarrow \delta M_W(\text{stat}) \sim 3 \text{ MeV}$
- Ultimately : $\sim 10 \text{ fb}^{-1}$ at 14 TeV : $\sim 6 \cdot 10^7$ events x (e, μ) $\rightarrow \delta M_W(\text{stat}) \sim 1 \text{ MeV}$

- **Analysis strategy.** For template production, need to manipulate samples of $O(10^9)$ simulated events routinely. NB : using full grid power, can produce $\sim 10^6$ fully simulated events/day

- Rely on state-of-the-art QCD+EW exclusive final state generators, for description of signal and calibration samples
- Adaptive simulation : switch between parton level / fast simulation / full simulation dynamically, system by system
- Carefully select stored information / event
- Produce sets of templates from all samples, and varying physics and detector uncertainties one by one
- Repeat fits with all template sets and derive final uncertainty

Some projections...

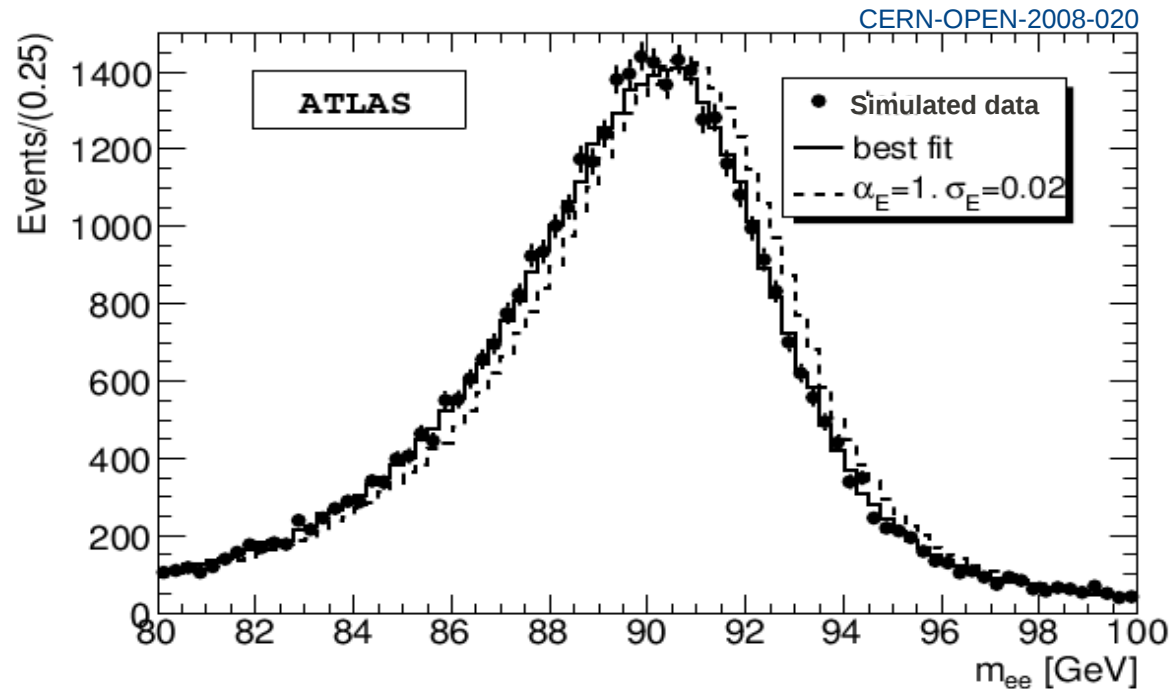
... and starting to address the real questions

- **Analysis strategy (continued).**

- produce MC models of the W signal, of the “candles” - J/Psi, ..., Z, and of any relevant basic detector-level distribution
- Exploit “candles” to determine the size of effective corrections (energy scales, resolutions, efficiencies, ...)
- If significant data/MC differences, correct templates for these
- Fit W boson mass, store result
- Feed-back the data/MC differences to the upstream simulation and go back to point 1
- Monitor the stability of M_W along these iterations. Converge when
 - ➔ All effective corrections are 1 (most ambitious)
 - ➔ M_W is stable after effective corrections (fall-back, in case of too slow simulation)

Selected systematics : energy/momentum scale and resolution

- Prospective study : $\sim 200 \text{ pb}^{-1}$: lepton response from Z resonance tuning
 - Mock-data from full simulation; models from truth + smearing

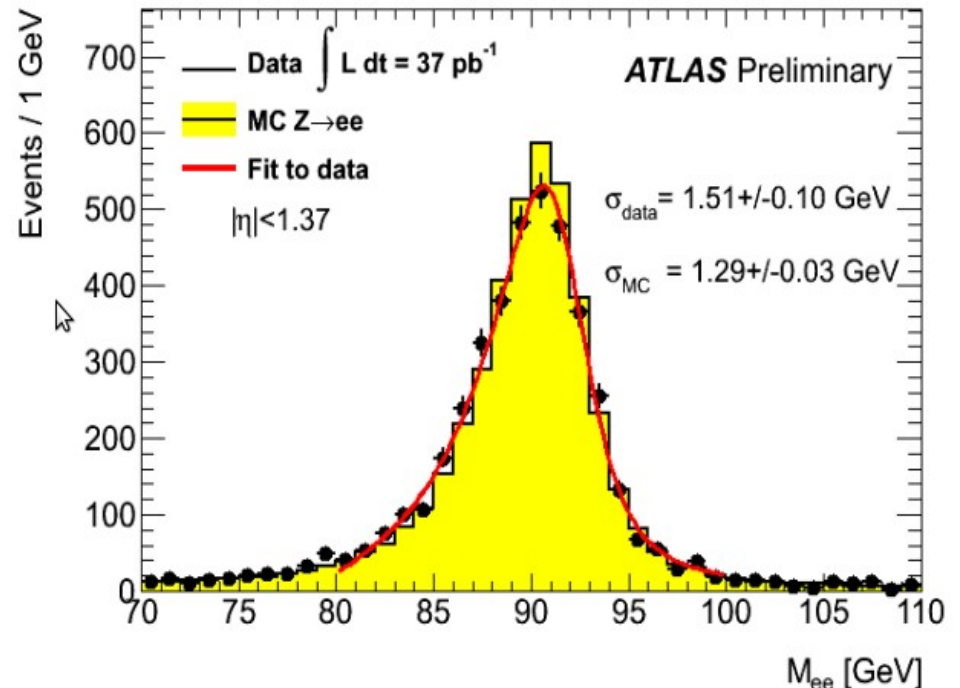
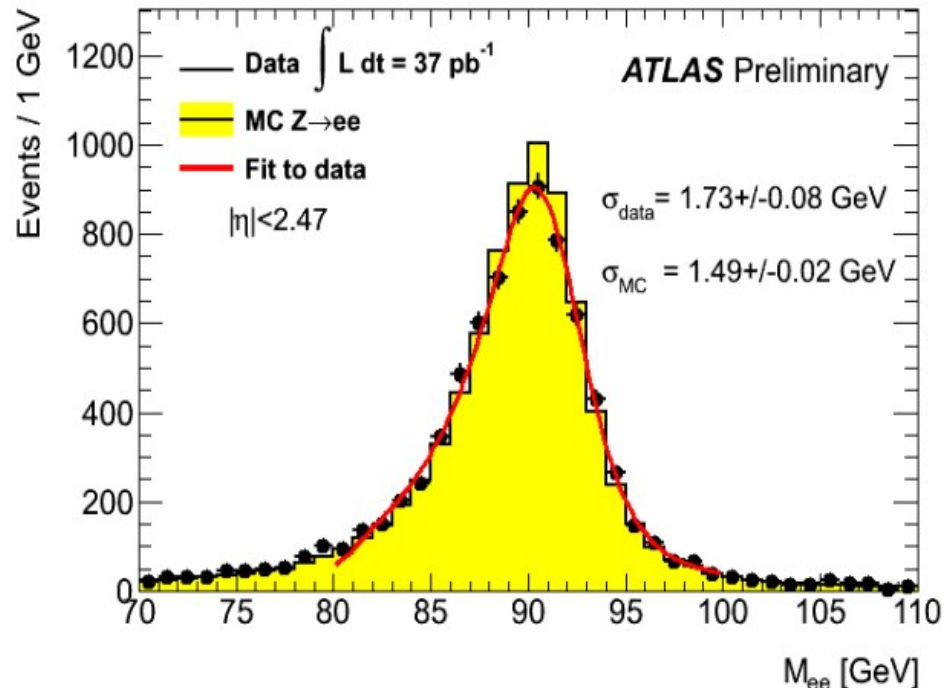


- Sensitivity to parameters averaged over the Z sample:
 - ➔ Energy scale : $\sim 3 \cdot 10^{-4}$
 - ➔ Resolution : $\sim 1\%$ relative
- Need to differentiate in order to apply such calibrations to different samples

Selected systematics : energy/momentum scale and resolution

- Today

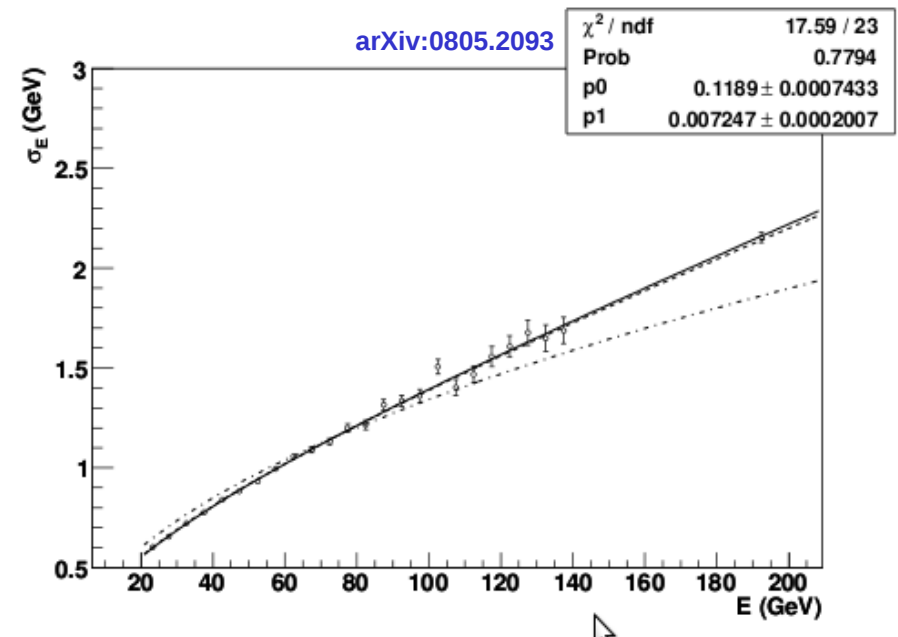
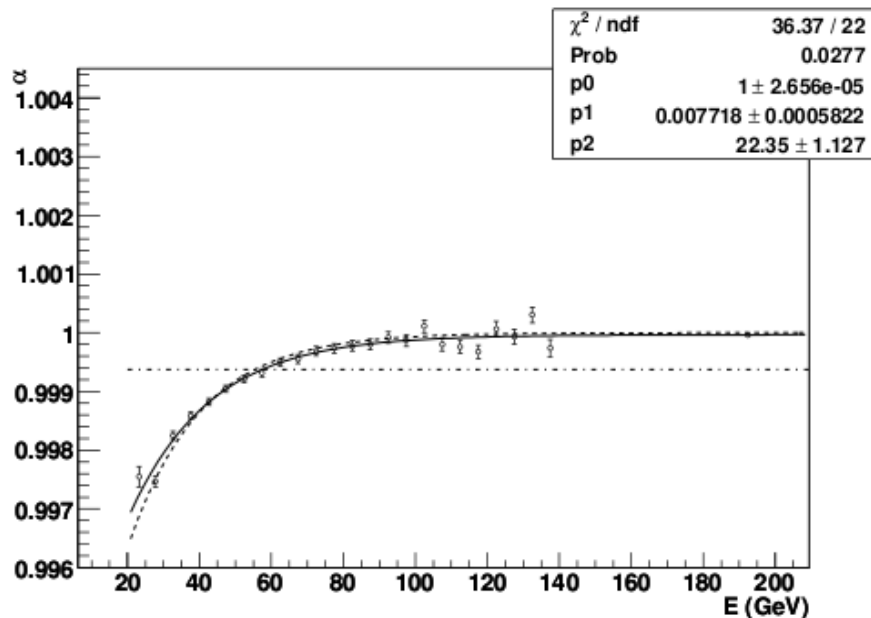
- Effective calibration determined for barrel and endcap to $\sim 3 \cdot 10^{-3}$
- Resolution : $\sim 15\%$ mismatch between data and MC, probed to $\sim 25\%$ relative



Selected systematics : energy/momentum scale and resolution

- Tomorrow

- Z prospects with 10 fb^{-1} : determine effective calibration vs. lepton kinematics

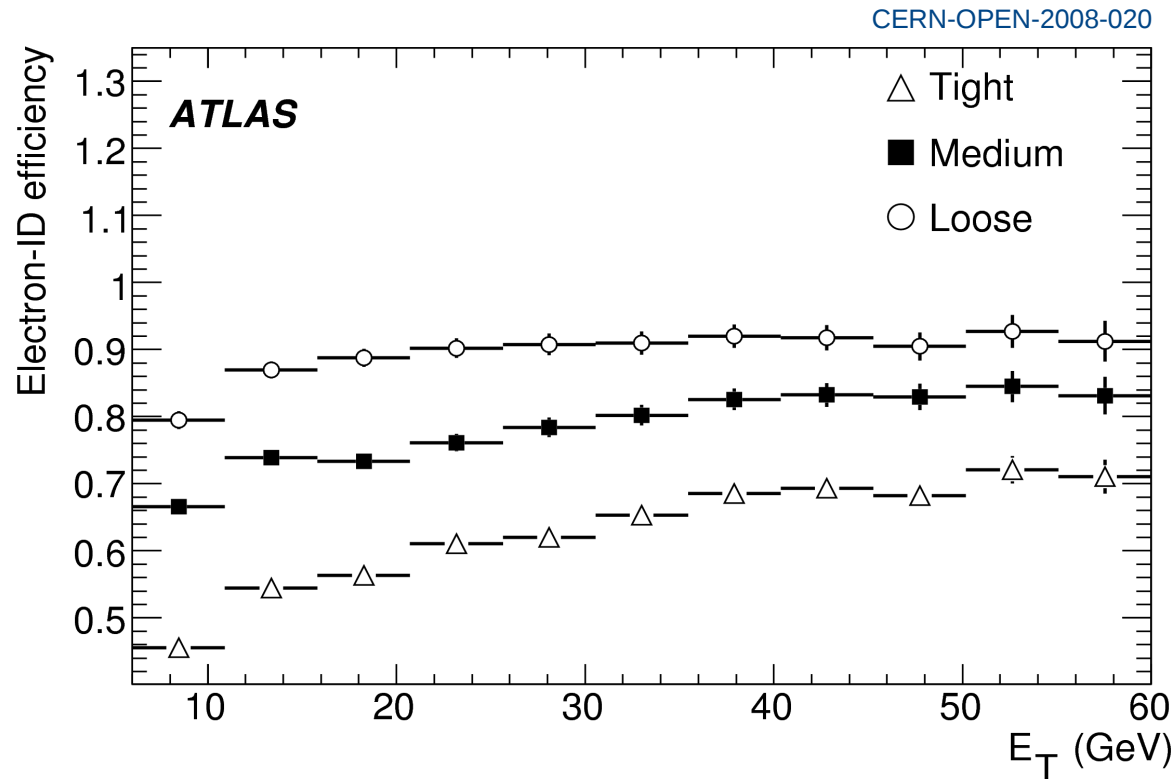


- Issues : charge-dependent scale

- The different kinematic distributions for W^+ and W^- require separate determinations for positive and negative leptons
 - Handles : signals with charge-symmetric distributions, e.g J/Psi decays and e^+e^- from conversions.

Selected systematics : electron reconstruction efficiency

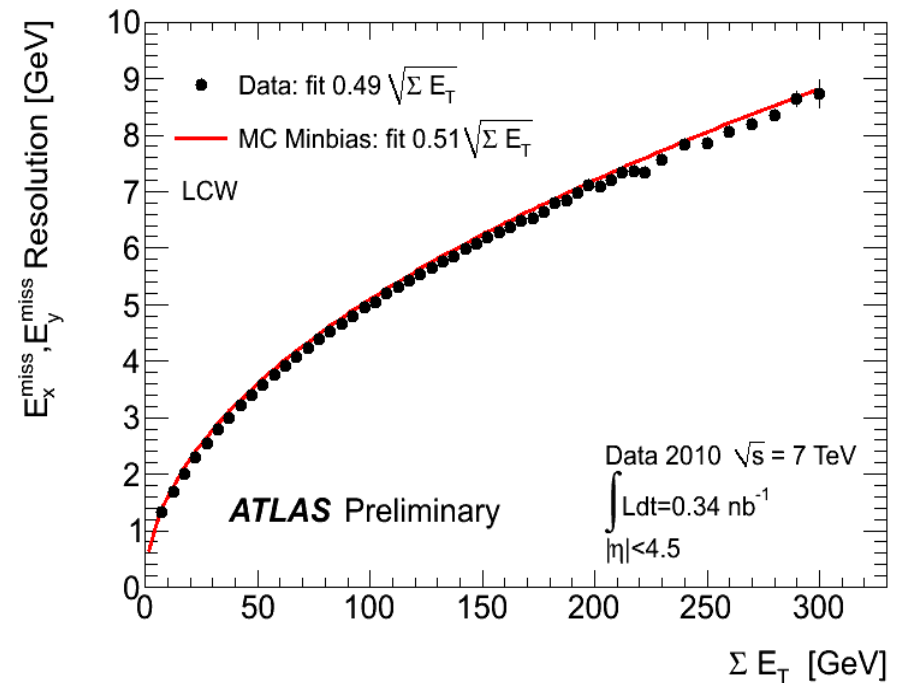
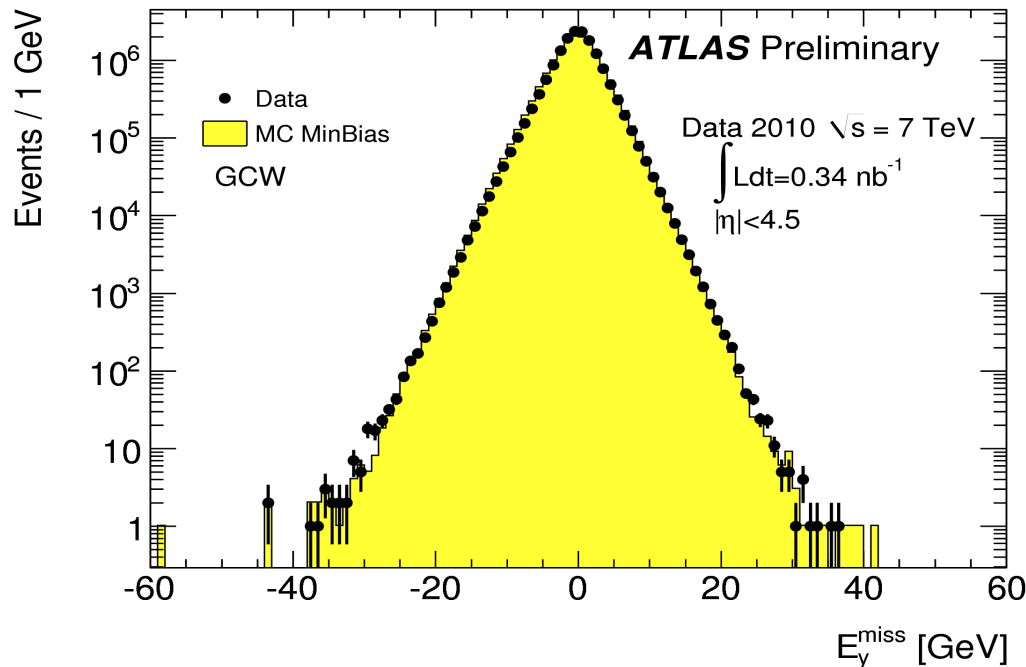
- The electron reconstruction efficiency is a strong function of p_T (and right in the jacobian region):



- From prospective studies, entirely neglecting this dependence in the templates leads to a bias of $\delta M_W = +360$ MeV – in other words, a bias of +4 MeV / %

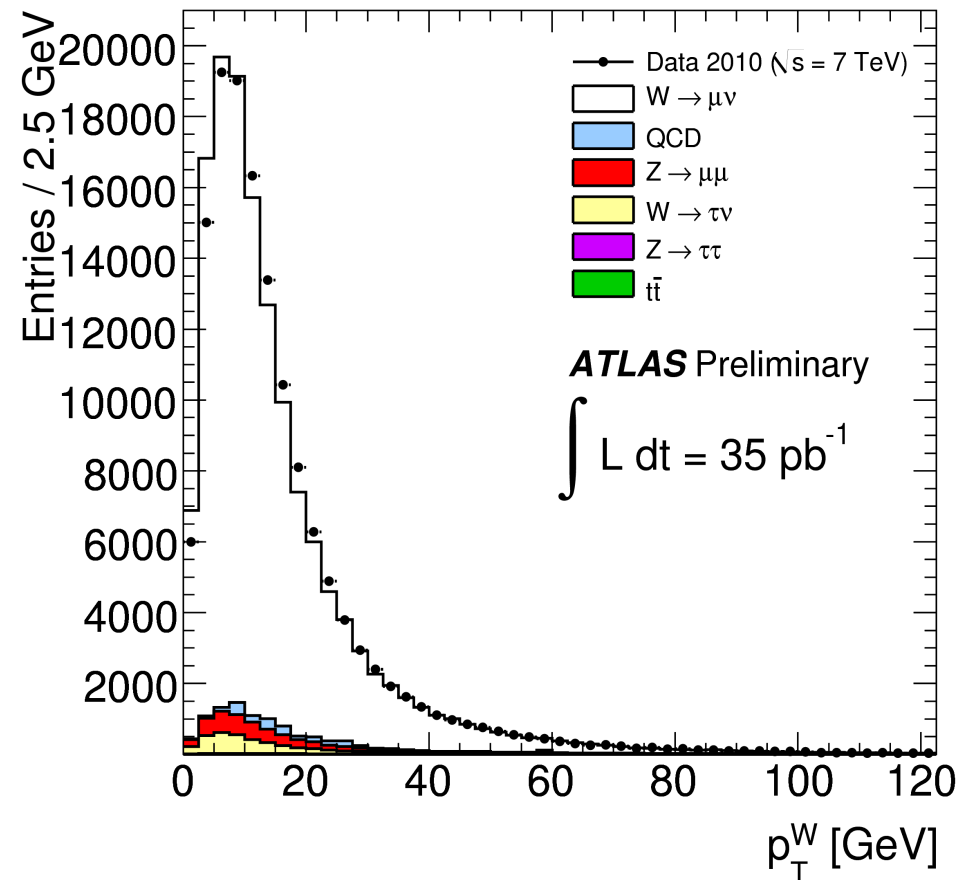
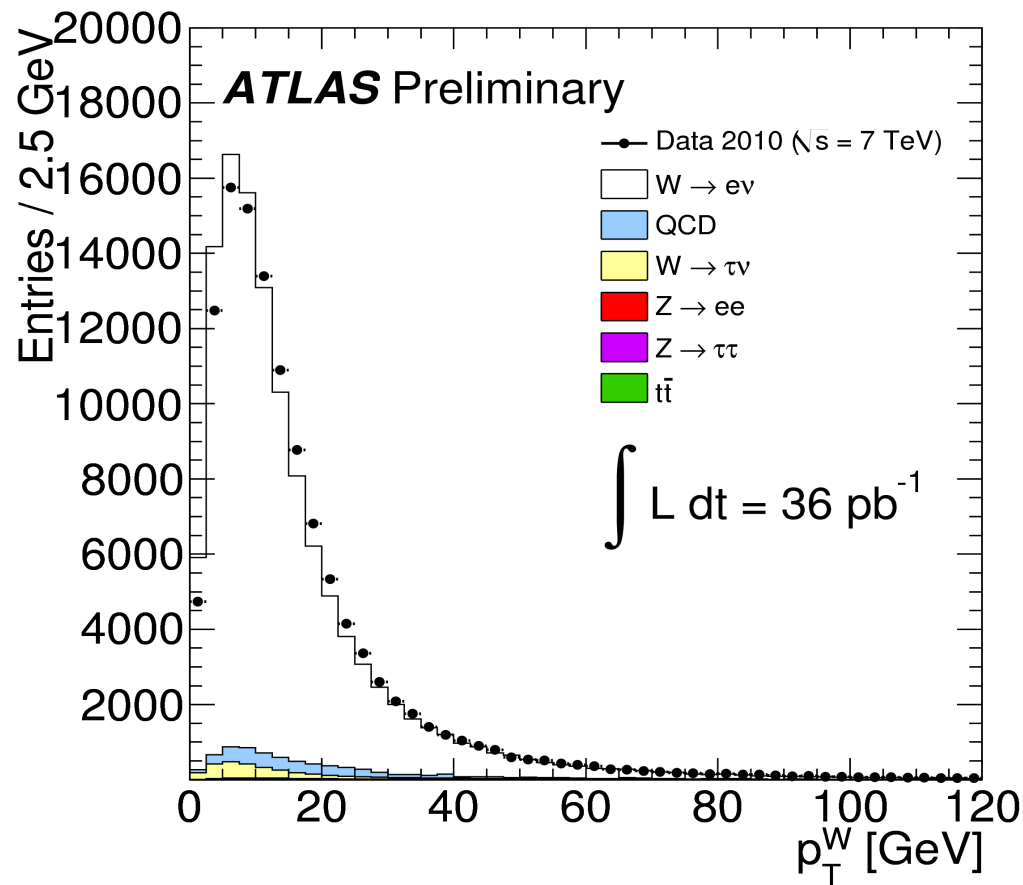
Selected systematics : recoil calibration

- The hadronic recoil enters the analysis through
 - $\vec{p}_T(\nu) = -[\vec{p}_T(l) + \vec{R}]$
 - $M_T(W) = [2 p_T(e) p_T(\nu) (1 - \cos \Delta \phi)]^{1/2}$
- Current performance encouraging; J/Psi- and Z-based calibrations underway



Selected systematics : recoil calibration

- in W events : $p_T(W)$, which is just the hadronic recoil. Uncorrected distributions below:

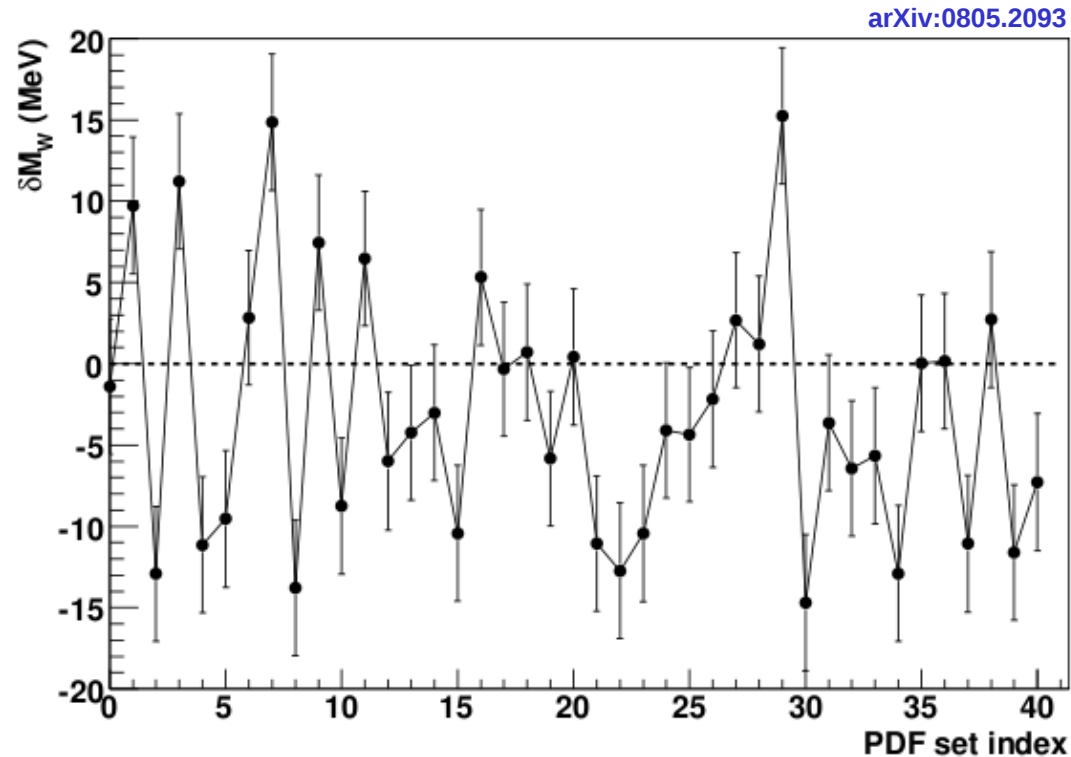


W dynamics : the p_T distribution

- No public plots yet... below a summary of our strategy
- The hadronic recoil is diagnosed using
 - MinBias events : resolution dependence vs. event activity (SumET)
 - J/Psi and Z events probe, in addition, its bias and resolution vs. lepton pair p_T
 - This information is fed back as
 - ➔ Improvement to the UE tuning
 - ➔ Effective calibration for the residual effects
- With this calibration in hand, we measure the $p_T(W)$ distributions, in W^+ and W^- events separately. Cross check performed on Z events, comparing there the lepton-pair based $p_T(Z)$ measurement to the recoil-based one.
- This information is then used to constrain the models, and integrated in the template production.

W dynamics : the rapidity distribution

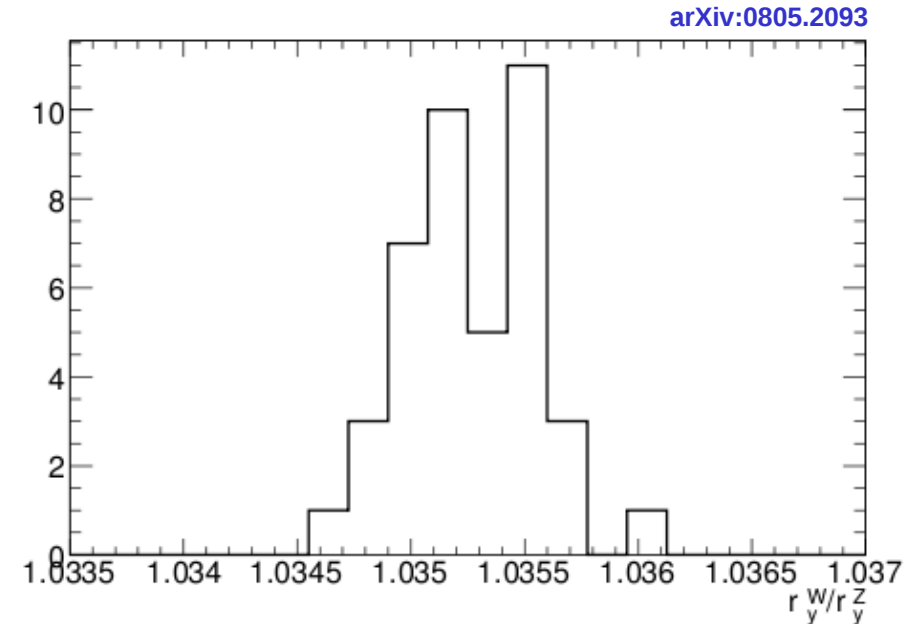
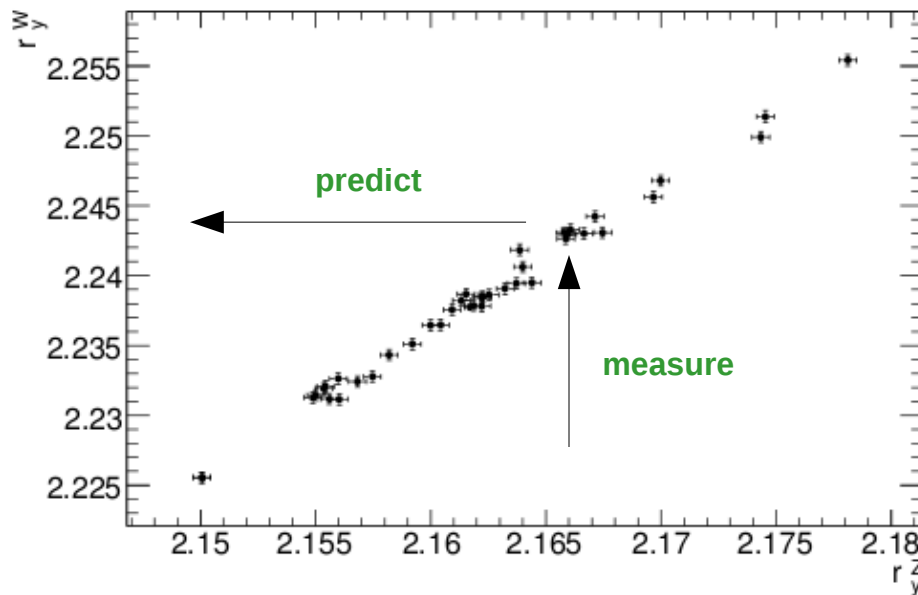
- Let us assume, to simplify, that rapidity \leftrightarrow PDFs
- PDF uncertainties, estimated using CTEQ61
 - Templates from current “best fit”
 - Pseudo-data from 1- σ excursions in all PDF parameters; collect and sum biases



- Induced uncertainty on $M_W \sim 30$ MeV

W dynamics : the rapidity distribution

- The W rapidity can not be measured directly (undetected neutrino) but:
 - Correlation between W & Z rapidity distributions under PDF variations:



arXiv:0805.2093

- In other words we predict the W rapidity distribution as

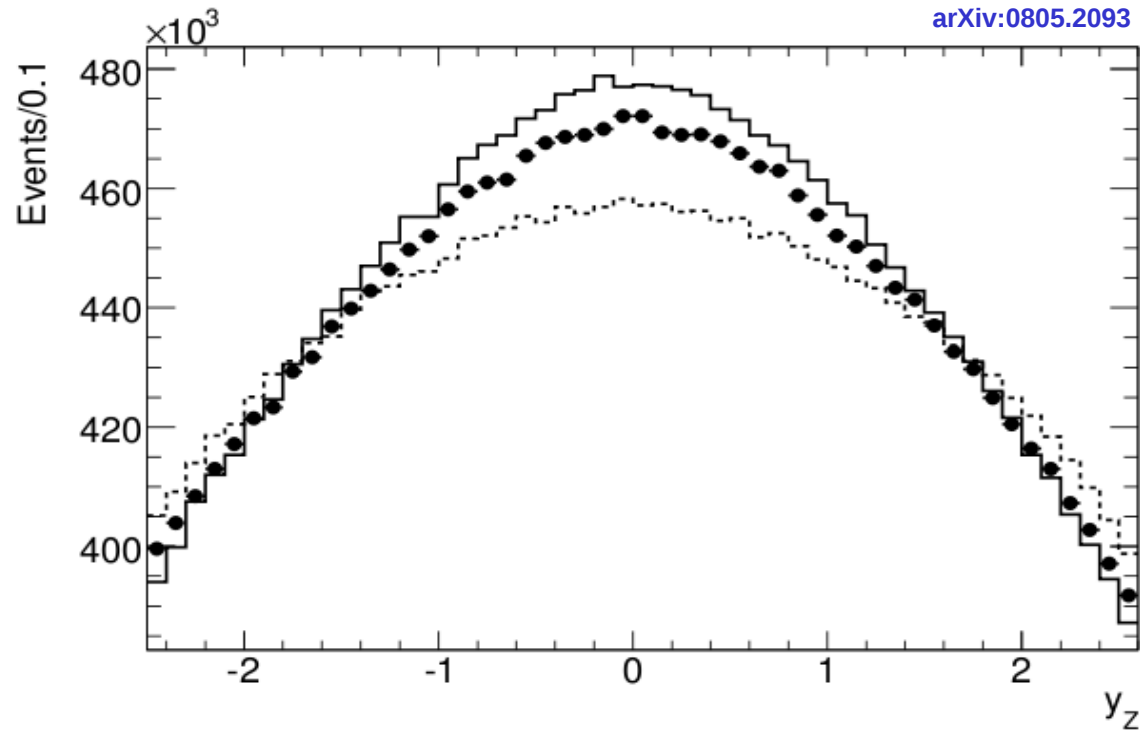
$$d\sigma_W / dy \rightarrow \frac{d\sigma_W / dy}{d\sigma_Z / dy} \times d\sigma_Z / dy$$

Raw prediction Precise prediction Measured

- Hence measuring the Z to ultimate precision is crucial!

W dynamics : the rapidity distribution

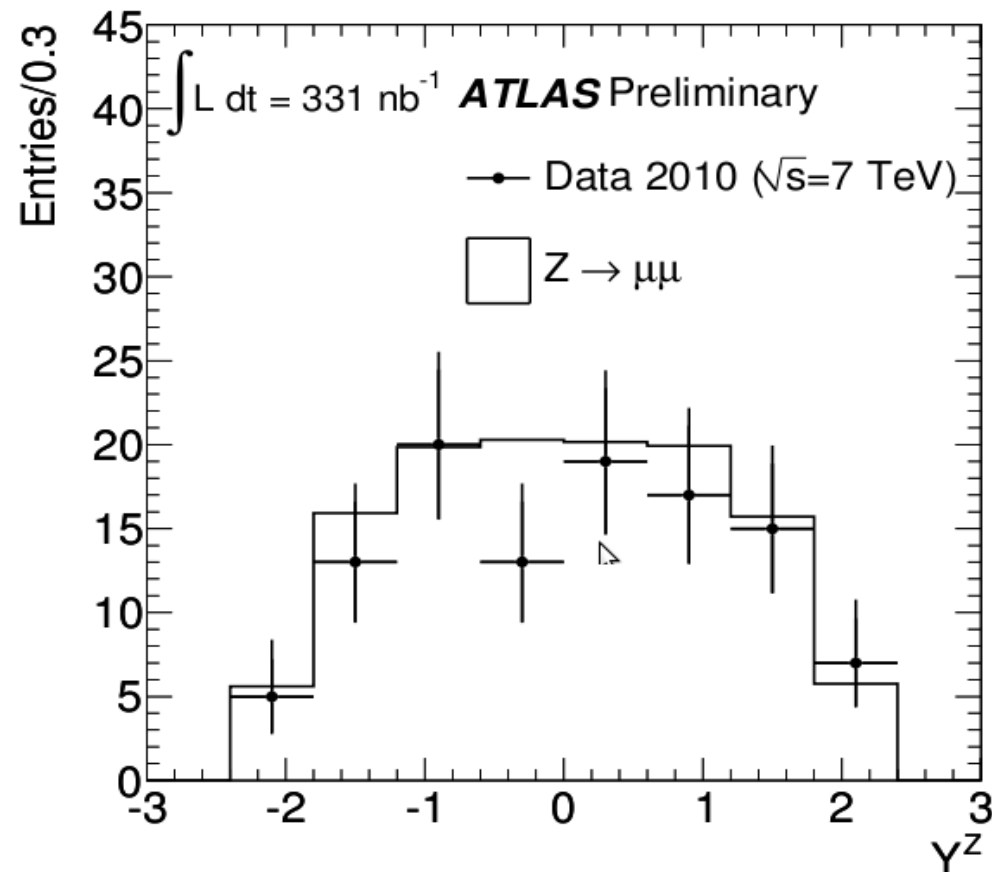
- Z rapidity data with 10 fb^{-1} , compared to the PDF uncertainty on this distribution



- Ultimately $\delta M_W \sim 2 \text{ MeV}$ from this source (+ cross-check with other PDF-sensitive measurements) – but see next pages....

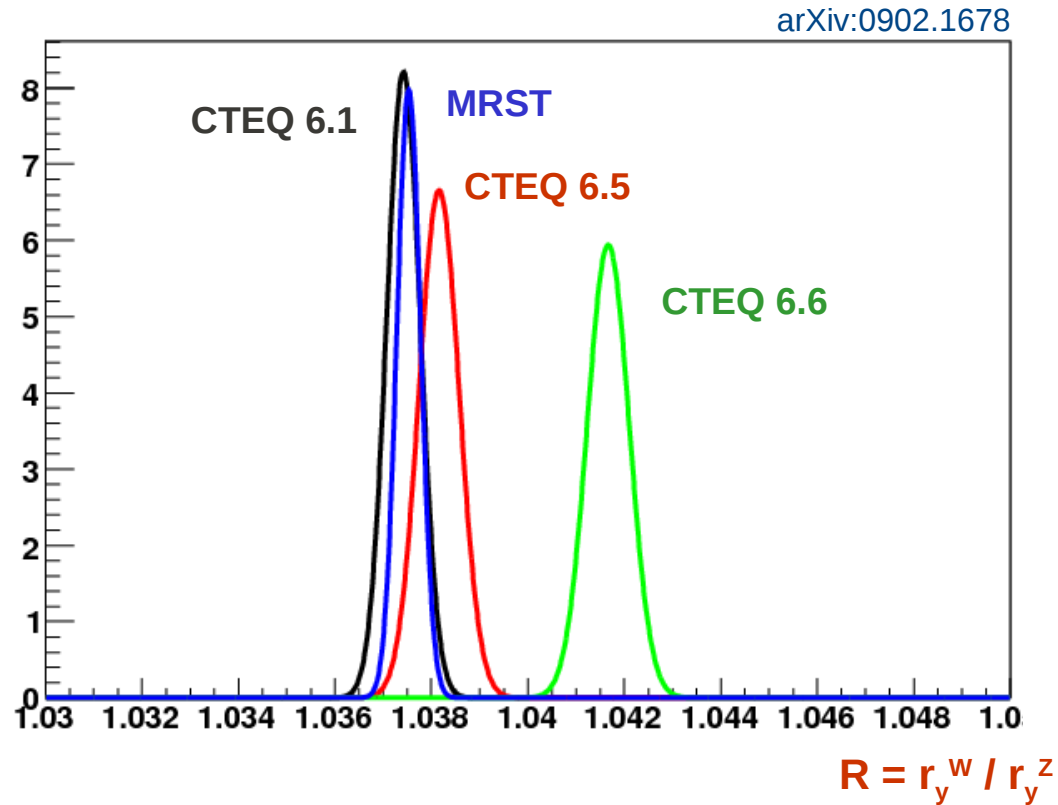
W dynamics : the rapidity distribution

- Not quite there yet!
 - the 0.3 pb⁻¹ plot (uncorrected data) - Measurement planned with 40 pb⁻¹



W dynamics : the rapidity distribution

- Let us repeat this exercise with different PDF sets. We find:



- CTEQ 61 – standard NLO fit
 - CTEQ 65 – improved HF treatment
 - MRST – NNLO fit
-) vs. (
- CTEQ 66 – ~free strange PDF

M_W : summary

- Experimental challenges – keeping systematics below ~ 5 MeV requires
 - ➔ energy/momentum scale control to $< 10^{-4}$ (average), $\sim 10^{-3}$ (locally)
 - ➔ resolution to $\sim 1\%$
 - ➔ p_T dependence of lepton efficiency to 1%
- Strategy to control the $p_T(W)$ distribution :
 - ➔ Rely on state of the art generators to predict the lepton distributions at given $p_T(W)$
 - ➔ Measure the $p_T(W)$ distribution from the recoil distribution, calibrating from MinBias, J/Psi, and Z boson events, separately in W^+ and W^- events
 - Ultimately, measure M_W in bins of $p_T(W)$, with two benefits
 - ➔ Exploit a sharper Jacobian peak at low $p_T(W)$: improve the statistical sensitivity
 - ➔ M_W^{fit} vs $p_T(W)$, separating by charge, provides an excellent control plot
- The $y(W)$ distribution
 - ➔ Much information will be extracted from $y(Z)$; also $A(W)$; low-mass DY
 - ➔ Still, the strange contribution to W production remains critical to control
 - ➔ And whatever the situation, we need to dispose of a real uncertainty estimate!

M_W : needs from theoretical community

- The $p_T(W)$ distribution

- As said, we will always compare predictions to our data, and correct them when needed. But this measurement will greatly benefit from theoretical assistance!
- The Good Generator will
 - ➔ Incorporate all well-known theory
 - ➔ Summarize uncertainties into a few phenomenological parameters, that the experiments can fit
 - ➔ Allow to do this externally – we need to be able to do this ourselves, and iterate quickly

- PDFs

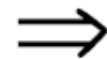
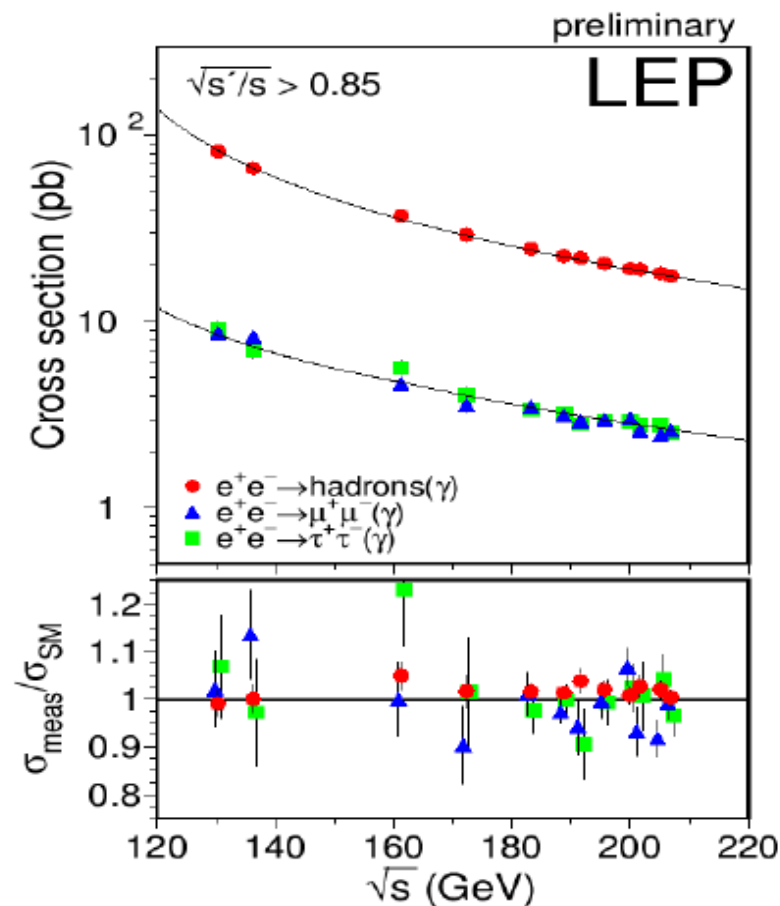
- We have many potential handles :
 - ➔ W charge asymmetry; Z rapidity distribution
 - ➔ Low-mass Drell-Yan (\bar{u} / \bar{d} separation)
 - ➔ W + charm (strangeness!)
- But some are really challenging. To define a realistic strategy, we ABSOLUTELY need to dispose of realistic PDF uncertainty estimates, and a flexible PDF fitting framework allowing us to vary parameters everywhere needed at a fast pace.

Another brief example...

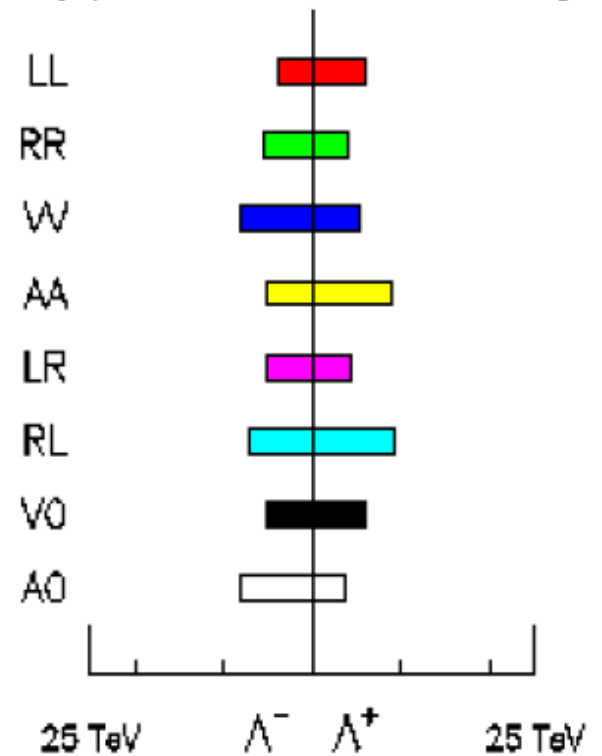
High-mass Drell-Yan

Precision measurement above the Z. Cf. LEP2 :

- ~30 measurements, precision ~1-5%



qq – LEP Preliminary



High-mass Drell-Yan

- Current uncertainty at LHC: $\sim 6\text{-}7\%$ for $100 \text{ GeV} < M < 1 \text{ TeV}$ and $y \sim 0$
- \rightarrow Gain a factor ~ 5 . To do this, relate – simple model – :

- $\sigma(m, y=0) \sim f^2(\mathbf{x}, m)$ (at m [low-mass], **measure**)
- $\sigma(m_z, y \neq 0) \sim f(\mathbf{X}, m_z) \times f(\mathbf{x}, m_z)$ (at M_z , **measure**)
- $\sigma(M, y=0) \sim f^2(\mathbf{X}, M)$ (at M [high-mass], **predict**)

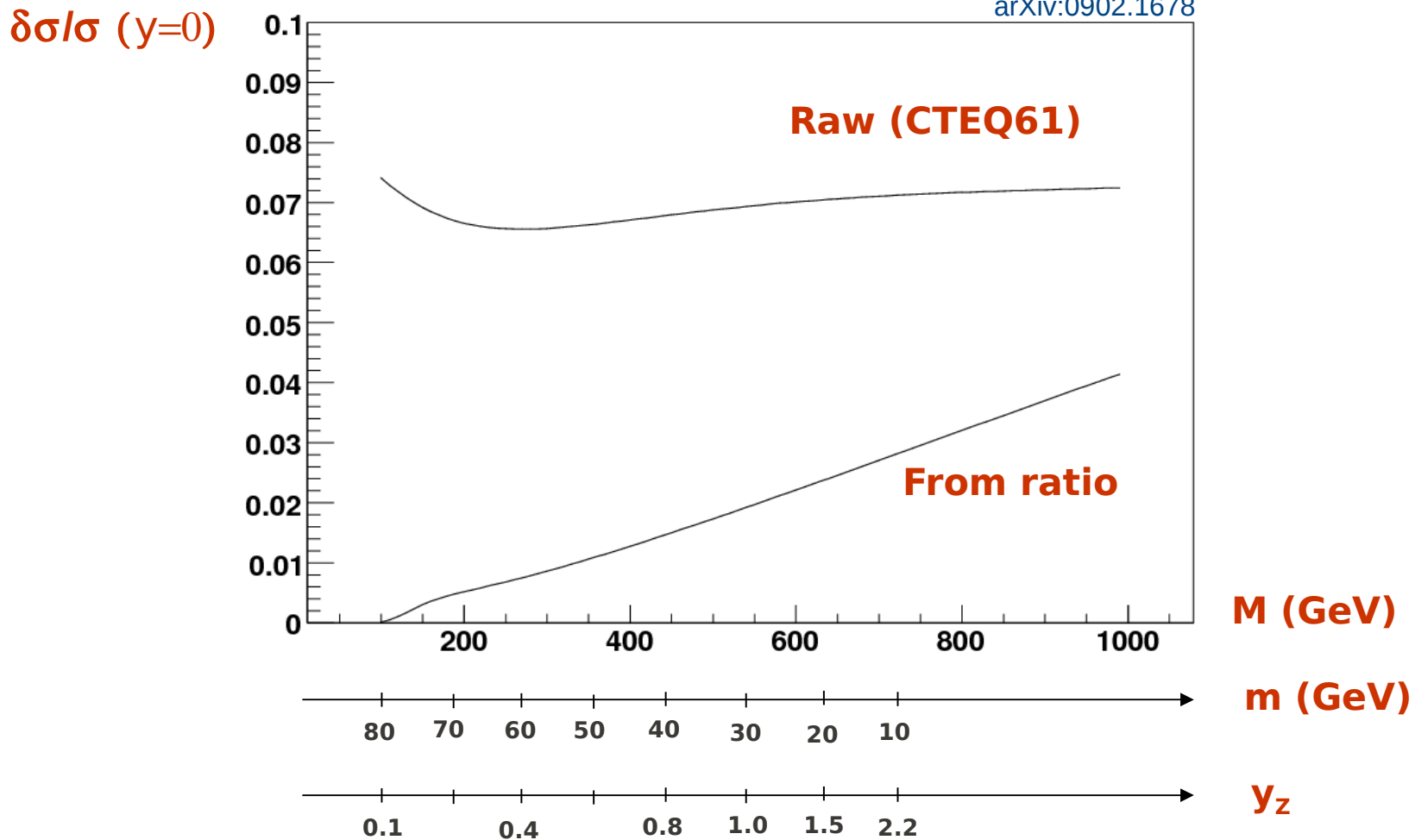
- Specifically, write:

$$\sigma(M, y=0) \rightarrow \underbrace{\frac{\sigma(M, y=0) \times \sigma(m, y=0)}{\sigma^2(M_z, y \neq 0)}}_{\text{Raw prediction}} \times \underbrace{\frac{\sigma^2(M_z, y \neq 0)}{\sigma(m, y=0)}}_{\text{Smaller PDF dependence?}} \times \underbrace{\frac{\sigma^2(M_z, y \neq 0)}{\sigma(m, y=0)}}_{\text{Measured}}$$

choosing m , M and y such that $m = M_z e^{-y}$; $M = M_z e^{+y}$

High-mass Drell-Yan

- Precision of the ratio prediction :

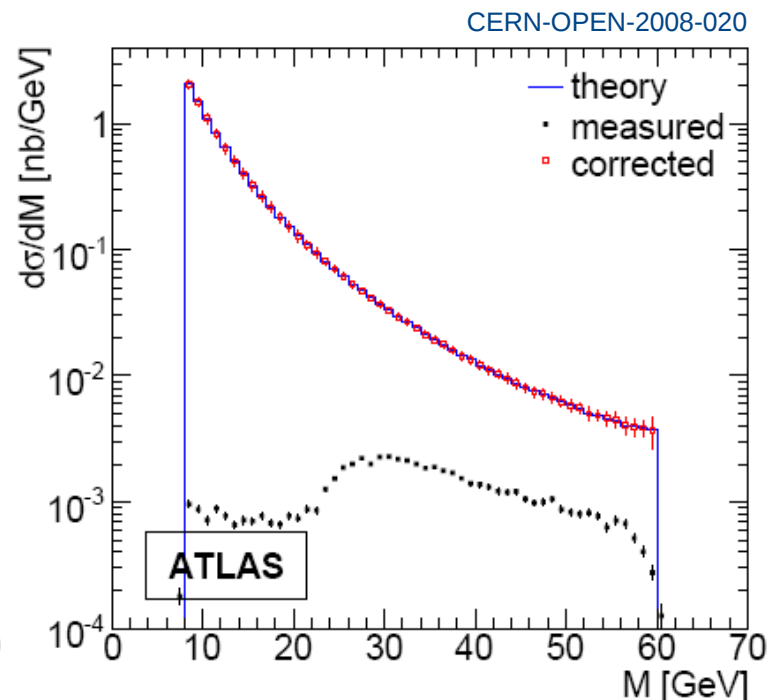
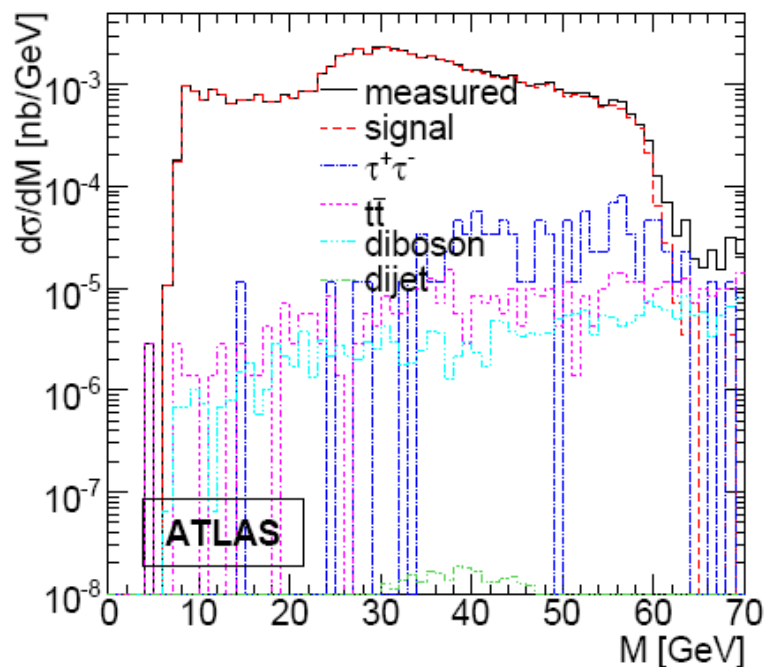


High-mass Drell-Yan

- Measured quantities:

- $d\sigma/dy$ (Z) already shown too much ()

- $d\sigma/dm$ at low mass : a(nother) challenging measurement in preparation



- Disclaimer : we don't know whether will this measurement will be achieved to the needed precision !

Summary

- Electroweak precision measurements : program starting now; a long way to go
- Detector performance has been beyond hopes in 2010. A very encouraging situation for the future
- Measurements should be organized to be minimally dependent on strong interaction theory. Where unavoidable, replace imprecise direct predictions by well chosen ratios, and complete by ancillary measurements
- Any remaining theoretical or model uncertainty will become potentially dominant. Hence uncertainties need to be well defined. Among these :
 - The $p_T(W)$ distribution can be measured; we should not rely exclusively on theory here. High precision is a challenge, but uncertainties are well defined.
 - PDFs : any “superfluous” assumption concerning parametrical form and/or relations between parton densities can break the measurement – need the highest possible flexibility.