

Probing local parity violation in strong interaction via CMW measurement with ALICE at the LHC

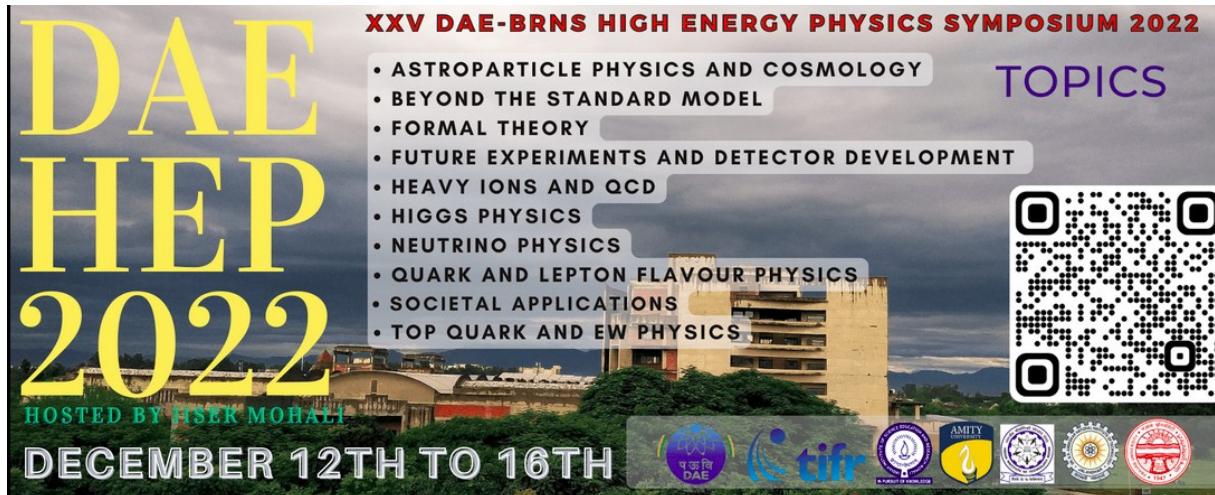
Pruttay Das (for the ALICE Collaboration)

National Institute of Science Education and Research

An OCC of Homi Bhabha National Institute HBNI, Jatni- 752050, INDIA



ALICE

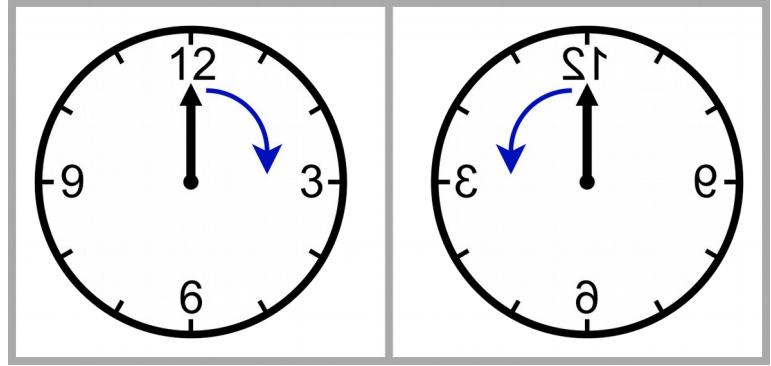


Parity

- ✓ Quantum mechanical property of a physical system

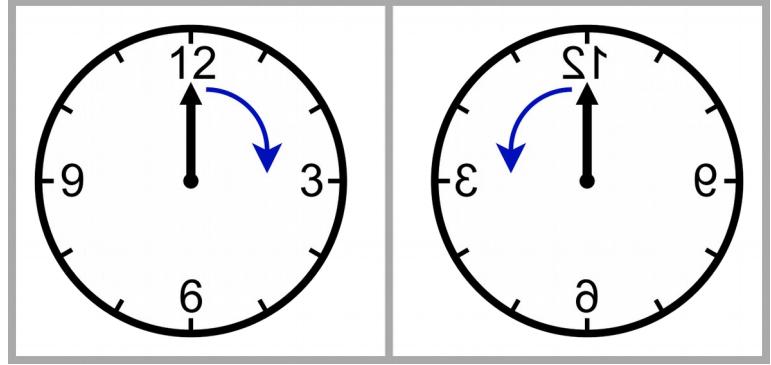
Parity

- ✓ Quantum mechanical property of a physical system
- ✓ Refers to flip in the sign of spatial coordinates



Parity

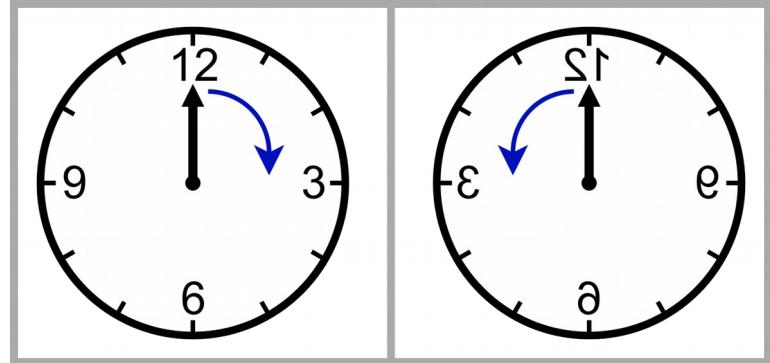
- ✓ Quantum mechanical property of a physical system
- ✓ Refers to flip in the sign of spatial coordinates
- ✓ Parity violation observed only in weak interactions [1]



[1] C. S. Wu et al., Phys. Rev. 105, (1957) 1413

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- ✓ QCD allows for the possibility of spontaneous local parity violation [2]

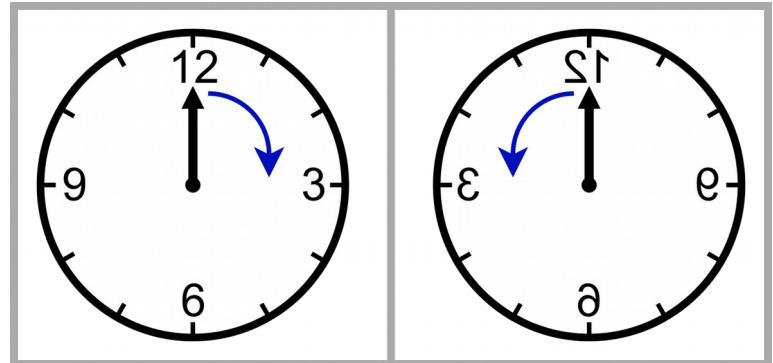


[1] C. S. Wu et al., Phys. Rev. 105, (1957) 1413

[2] D. Kharzeev et al., Phys.Rev.Lett. 81 (1998) 512-515

Parity

- ✓ Quantum mechanical property of a physical system
- ✓ Refers to flip in the sign of spatial coordinates
- ✓ Parity violation observed only in weak interactions [1]
- ✓ QCD allows for the possibility of spontaneous local parity violation [2]
- ✓ Gives rise to chiral phenomena



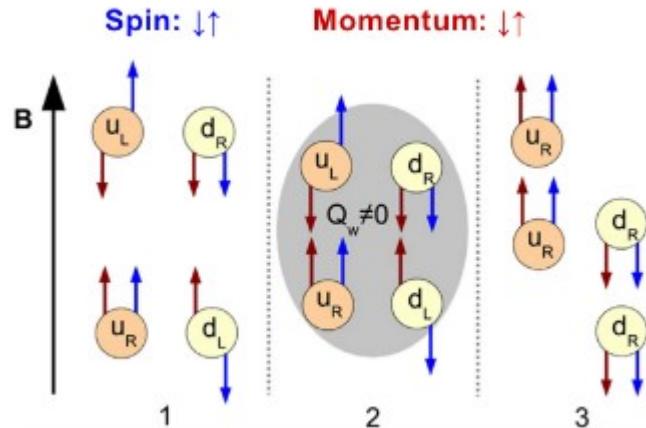
(Chiral Magnetic Effect, Chiral Separation Effect, Chiral Magnetic Wave,)

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Introduction

Spin: Momentum:



$$N_L^f - N_R^f = 2 Q_w$$

Chiral Magnetic Effect (CME): $j_v = \frac{N_c e}{2\pi^2} \mu_A B$

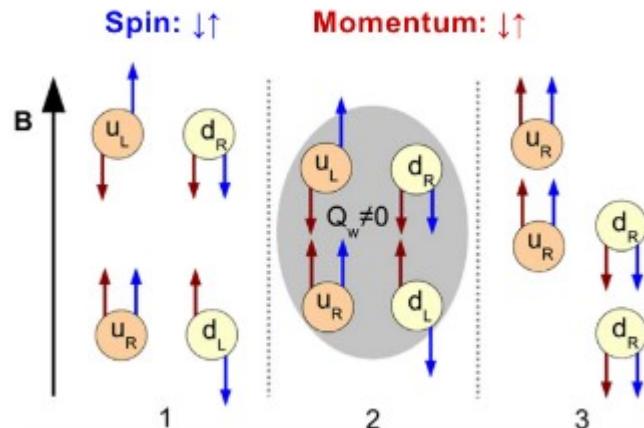
Chiral Separation Effect (CSE): $j_A = \frac{N_c e}{2\pi^2} \mu_v B$

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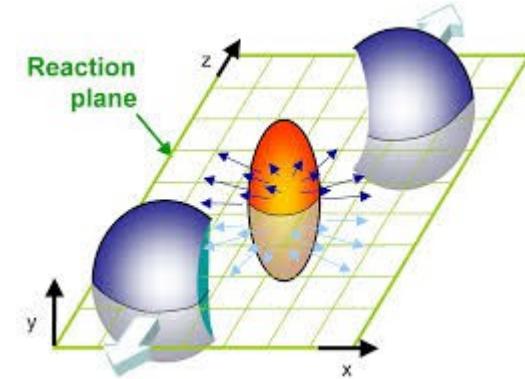
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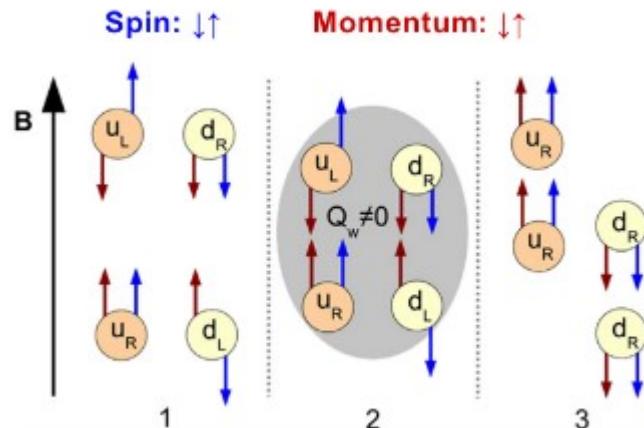
Chiral Magnetic Wave: CME + CSE

Heavy-ion collisions:



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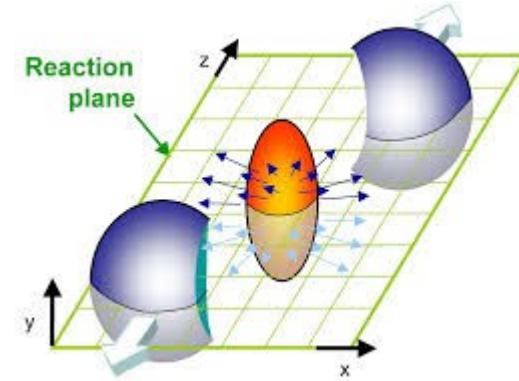
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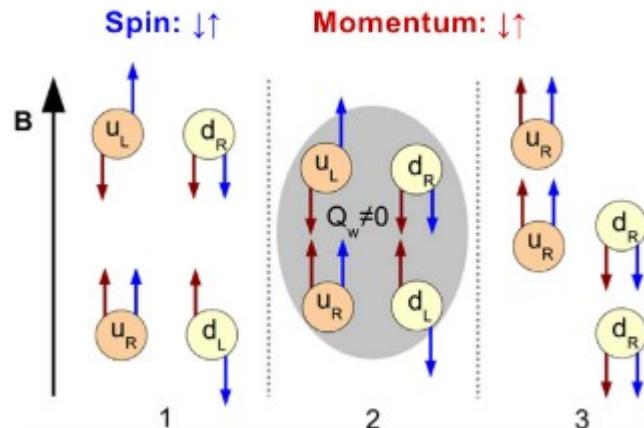
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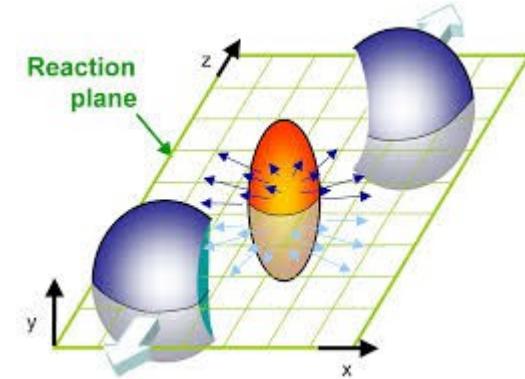
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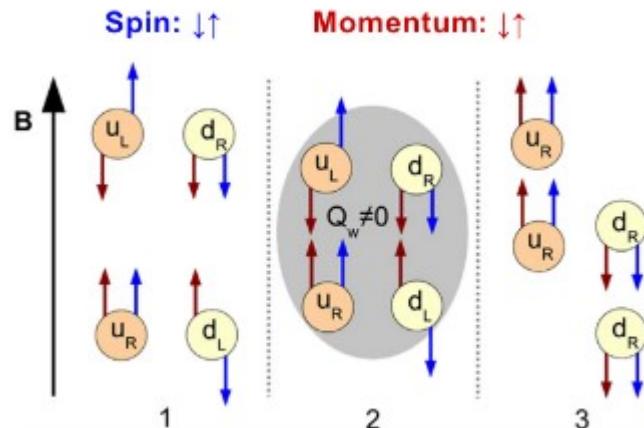
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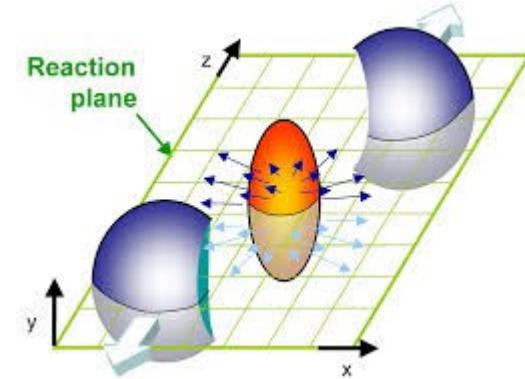
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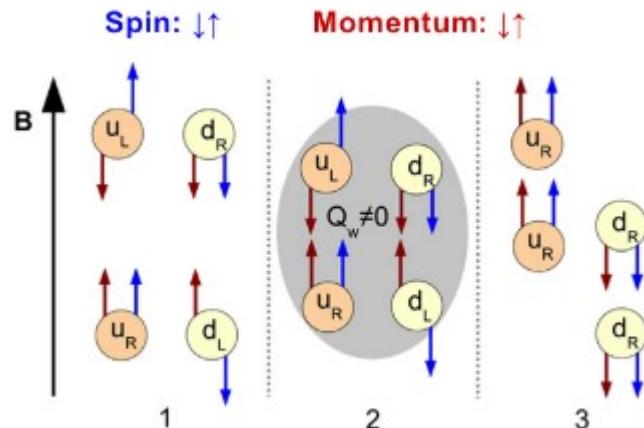
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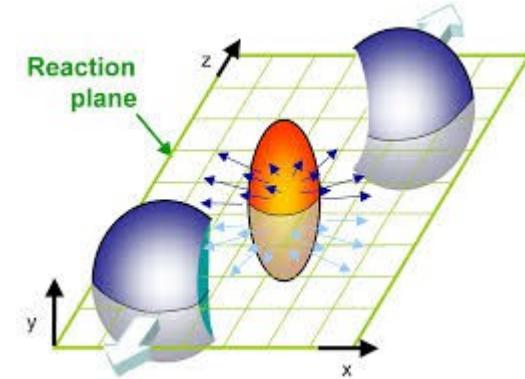
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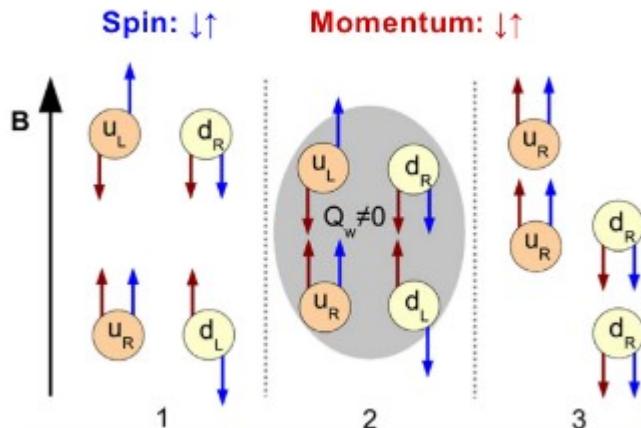
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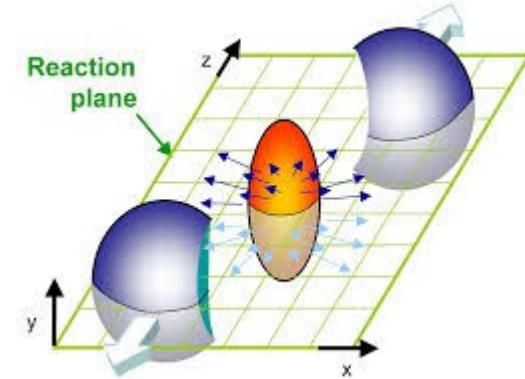
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Heavy-ion collisions:



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- ✓ Deconfinement
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All the necessary conditions can be achieved in heavy-ion collisions

Observable

- ✓ Charge dependent elliptic flow

$$v_2^{h^\pm} = v_2 \mp r \frac{A_{ch}}{2}, \quad A_{ch} = \frac{N^+ - N^-}{N^+ + N^-}$$

- ✓ CMW observable:

Normalised slope , $r_{\Delta v_2}^{Norm} = \frac{d\left(\frac{\Delta v_2}{\langle v_2 \rangle}\right)}{d A_{ch}}$

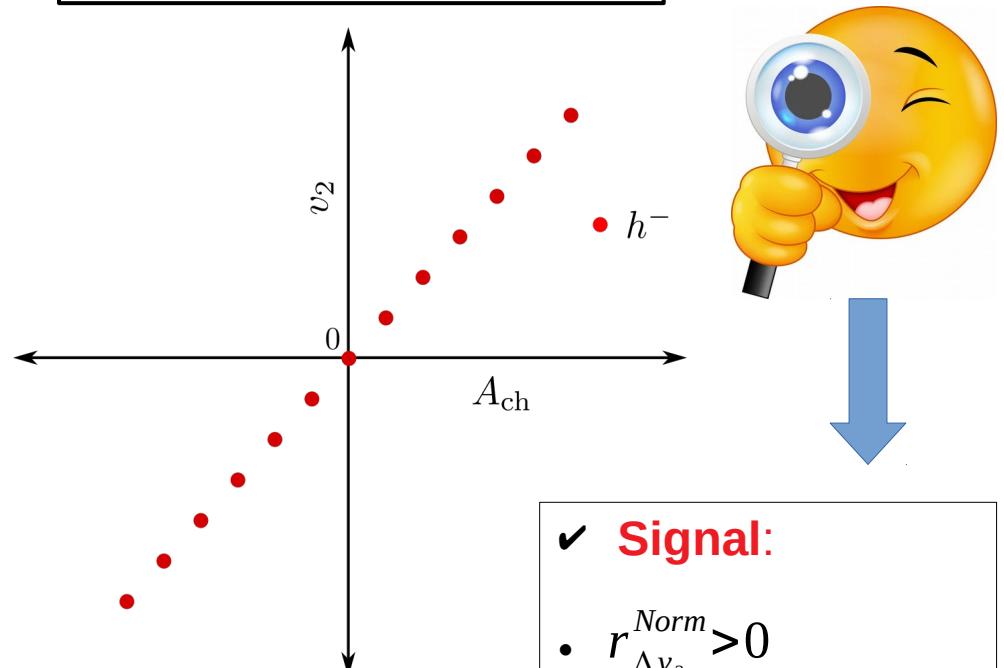
$$\Delta v_2 = v_2^{h^-} - v_2^{h^+} \quad \langle v_2 \rangle = \frac{v_2^{h^-} + v_2^{h^+}}{2}$$

- ✓ Possible background:

Local charge conservation (LCC)

- Probe the background:
Similar measurement with v_3

For illustration purpose



- ✓ Signal:

- $r_{\Delta v_2}^{Norm} > 0$
- $r_{\Delta v_2}^{Norm} > r_{\Delta v_3}^{Norm}$

Phys. Lett. B 726, (2013) 239-243

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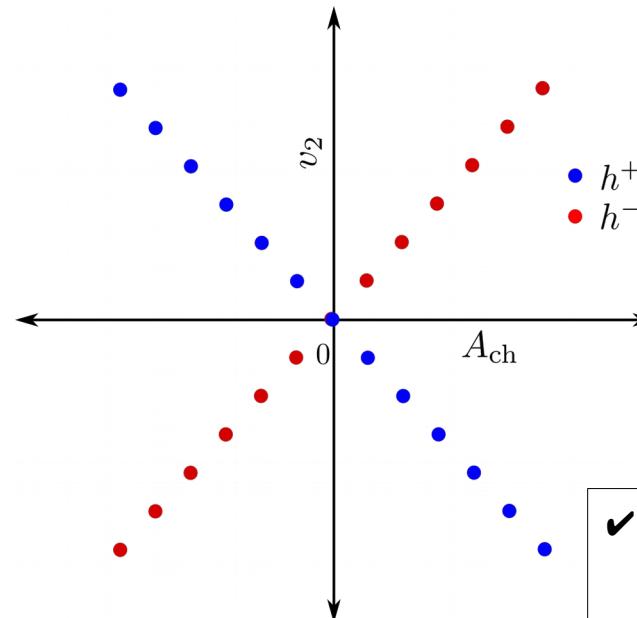
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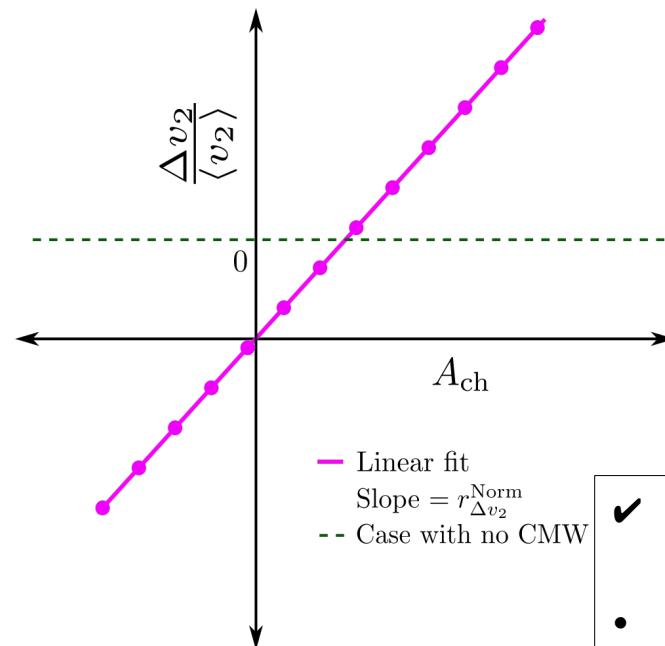
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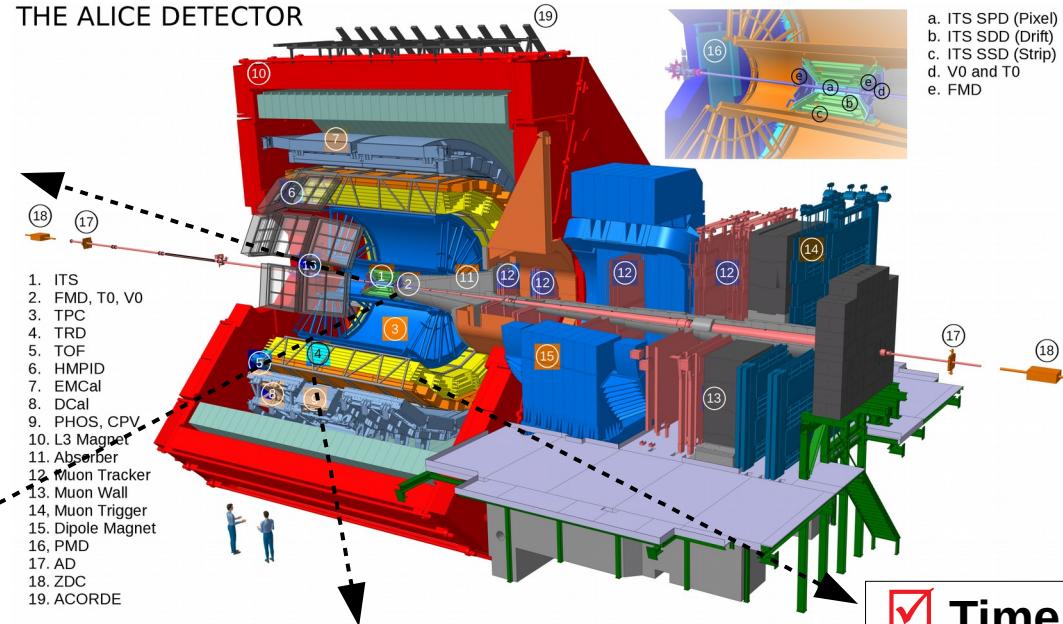
✓ Signal:

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ALICE detectors

ITS ($|\eta| < 0.9$)
● Tracking and vertexing

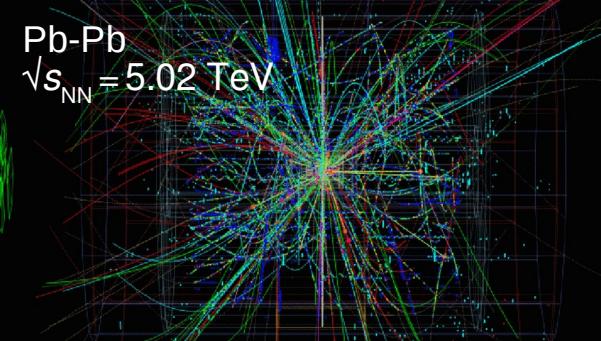


V0: V0A ($2.8 < \eta < 5.1$) & V0C ($-3.7 < \eta < -1.7$)
● Trigger and centrality

Time Of Flight (TOF): ($|\eta| < 0.9$)
● Particle identification through time of flight measurement

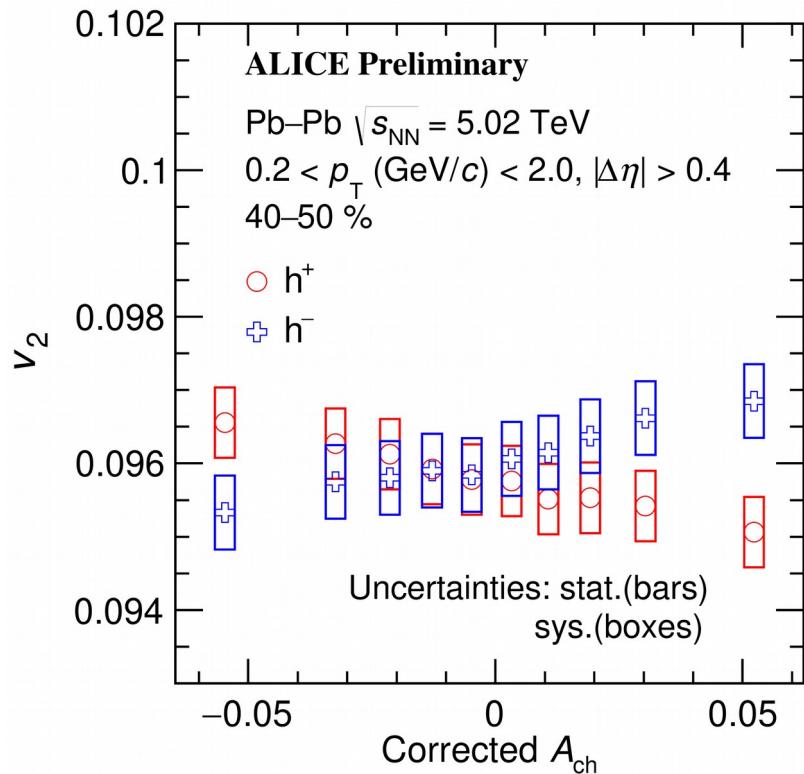
Time Projection Chamber (TPC): ($|\eta| < 0.9$)
● Primary vertex and tracking
● Momentum measurement
● Particle Identification (PID) through dE/dx

Analysis details

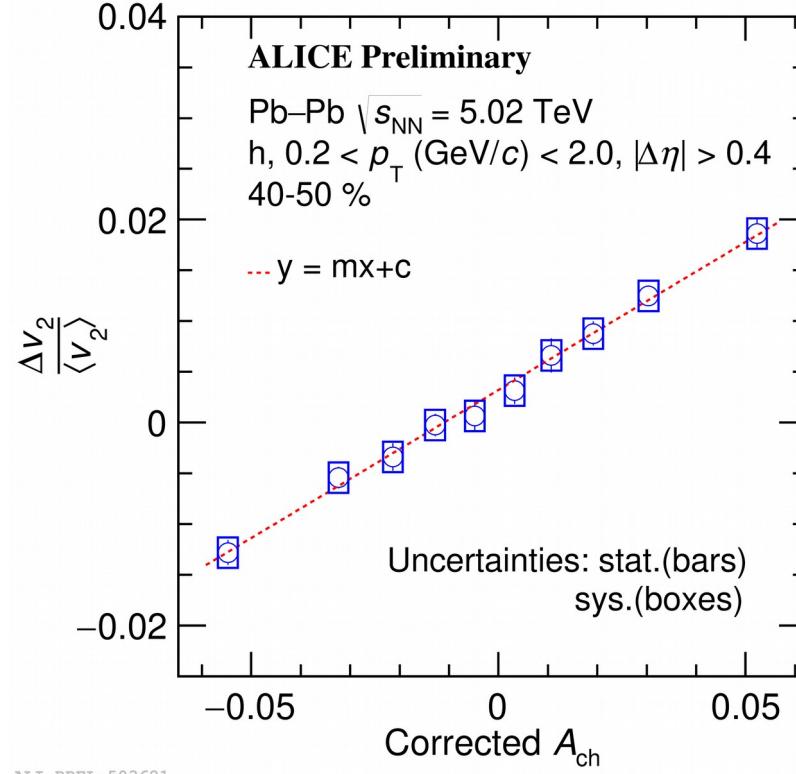


Number of events	$\sim 240 \times 10^6$
Particles	Hadrons, pions, kaons, protons
Kinematic range	$ \eta < 0.8$ $0.2 < p_T < 2.0 \text{ GeV}/c$
Centrality (%)	0 - 80

Elliptic flow vs charge asymmetry



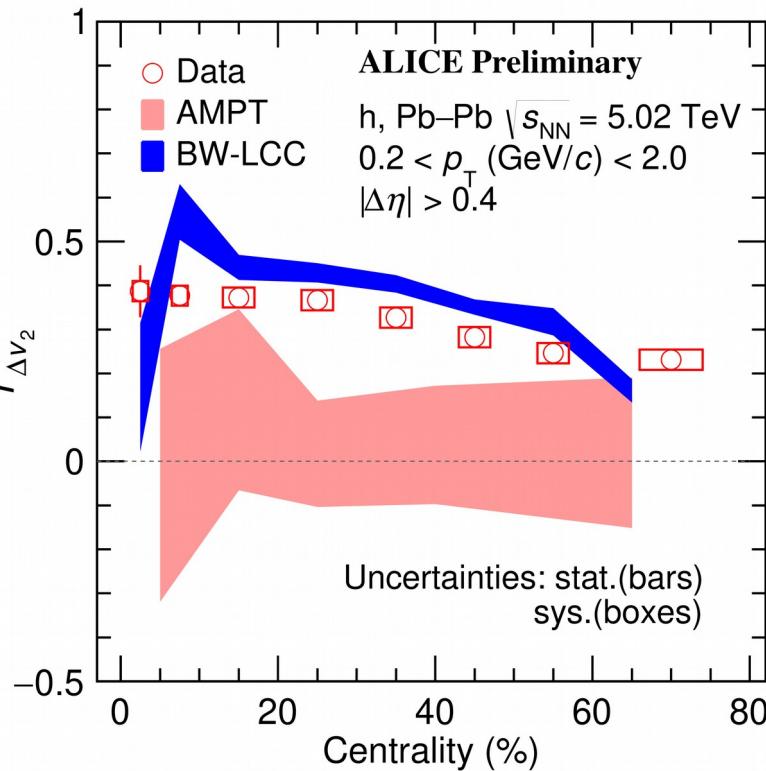
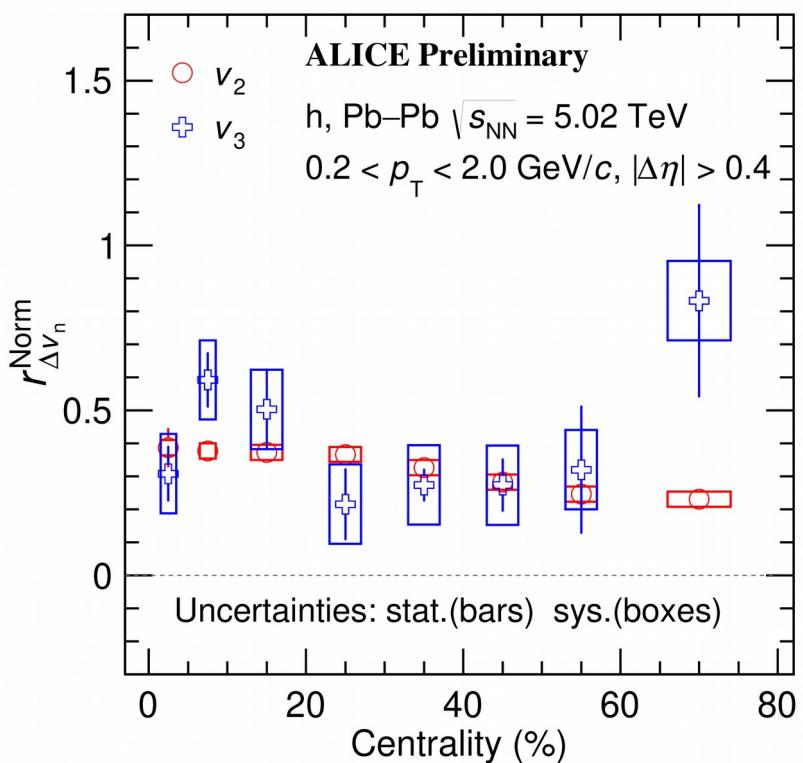
ALI-PREL-503617



ALI-PREL-503621

- v_2 of positive hadrons show a different trend compared to negative hadrons.
- Non-zero value of normalised slope is observed.

Comparison of $r_{\Delta v_n}^{\text{Norm}}$



$r_{\Delta v_2}^{\text{Norm}} \approx r_{\Delta v_3}^{\text{Norm}}$

As expected in AMPT no CMW signal is observed.

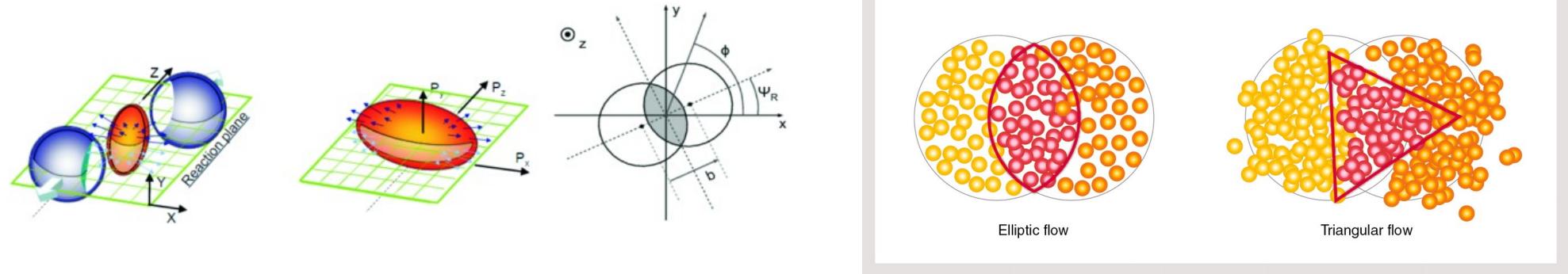
BW-LCC model overpredicts the measurements.

Summary

$r_{\Delta v_2}^{Norm} \approx r_{\Delta v_3}^{Norm}$

- BW-LCC model overpredicts the experimental measurements.
- CMW signal is consistent with zero at the LHC energies.

Observable: Anisotropic flow

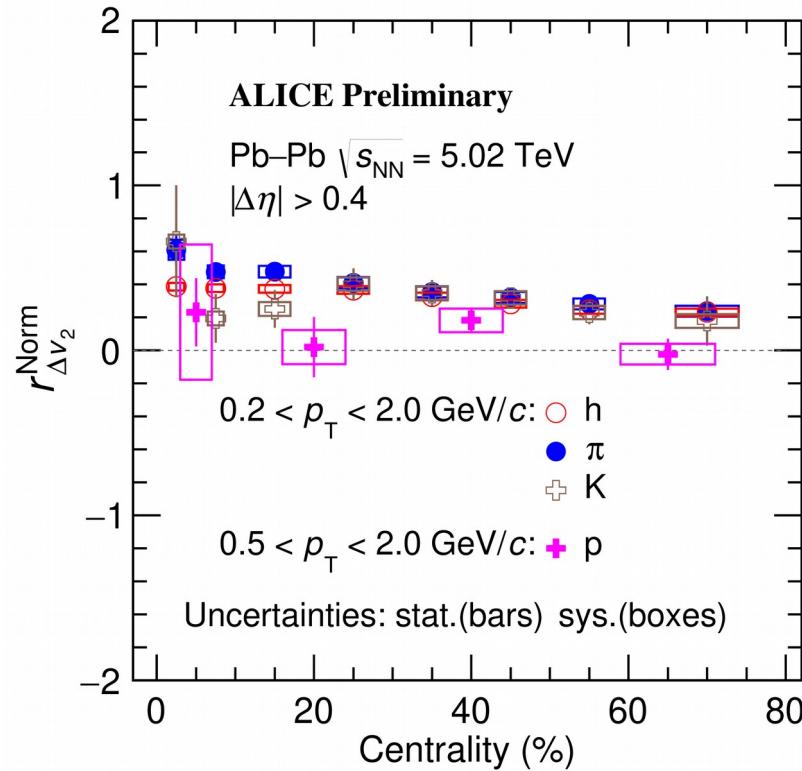


- ✓ Spatial anisotropy \rightarrow Momentum anisotropy
- ✓ Characterised by Fourier coefficients (v_n):

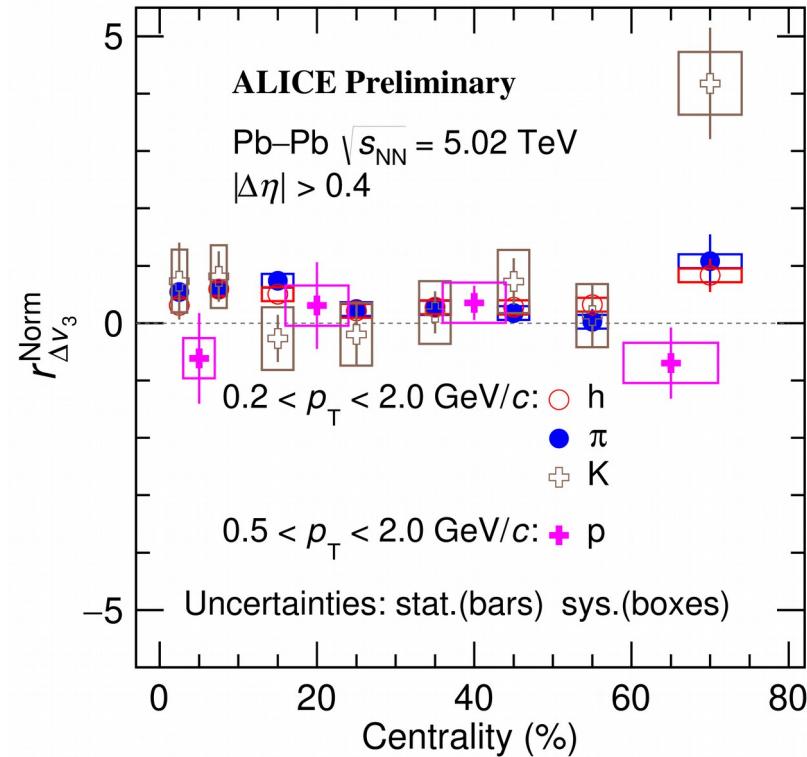
$$E \frac{d^3 N}{d^3 p} = \frac{d^2 N}{2 \pi p_T dp_T dy} (1 + \sum 2 v_n \cos[n(\varphi - \Psi_{n,R})])$$

Phys.Rev.C 58 (1998) 1671-1678

Centrality dependence of $r_{\Delta v_n}^{\text{Norm}}$



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ALI-PREL-503638

Normalised slopes are comparable for all particles within uncertainties.