

Dark Energy or a Void: no verdict

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Outline

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- ALTB

Motivation

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- Dark Energy / Λ :
 - FLRW
 - homogeneous cosmology

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- Dark Energy / Λ :
 - FLRW
 - homogeneous cosmology
- What do observations say?
 - how homogeneous must the universe be?
 - how necessary is Λ ?

Why a void?

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- Λ : fine tuning in time (why now?)

Why a void?

- Λ : fine tuning in time (why now?)
- Void: fine tuning in space (why here?)

Lemaître-Tolman-Bondi

$$ds^2 = -dt^2 + S^2(r, t)dr^2 + R^2(r, t)(d\theta^2 + \sin^2 \theta d\varphi^2)$$

$$S(r, t) = \frac{R'(r, t)}{\sqrt{1 + 2r^2 k(r) \tilde{M}^2}}$$

$$S(r, t) = f(\Omega_M(r), \Omega_k(r), t)$$

Each 'isoradial shell' obeys its own FLRW equation.

Lemaître-Tolman-Bondi

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Two functions describing the configuration:

$$k(r) \text{ \& } t_{BB}(r)$$

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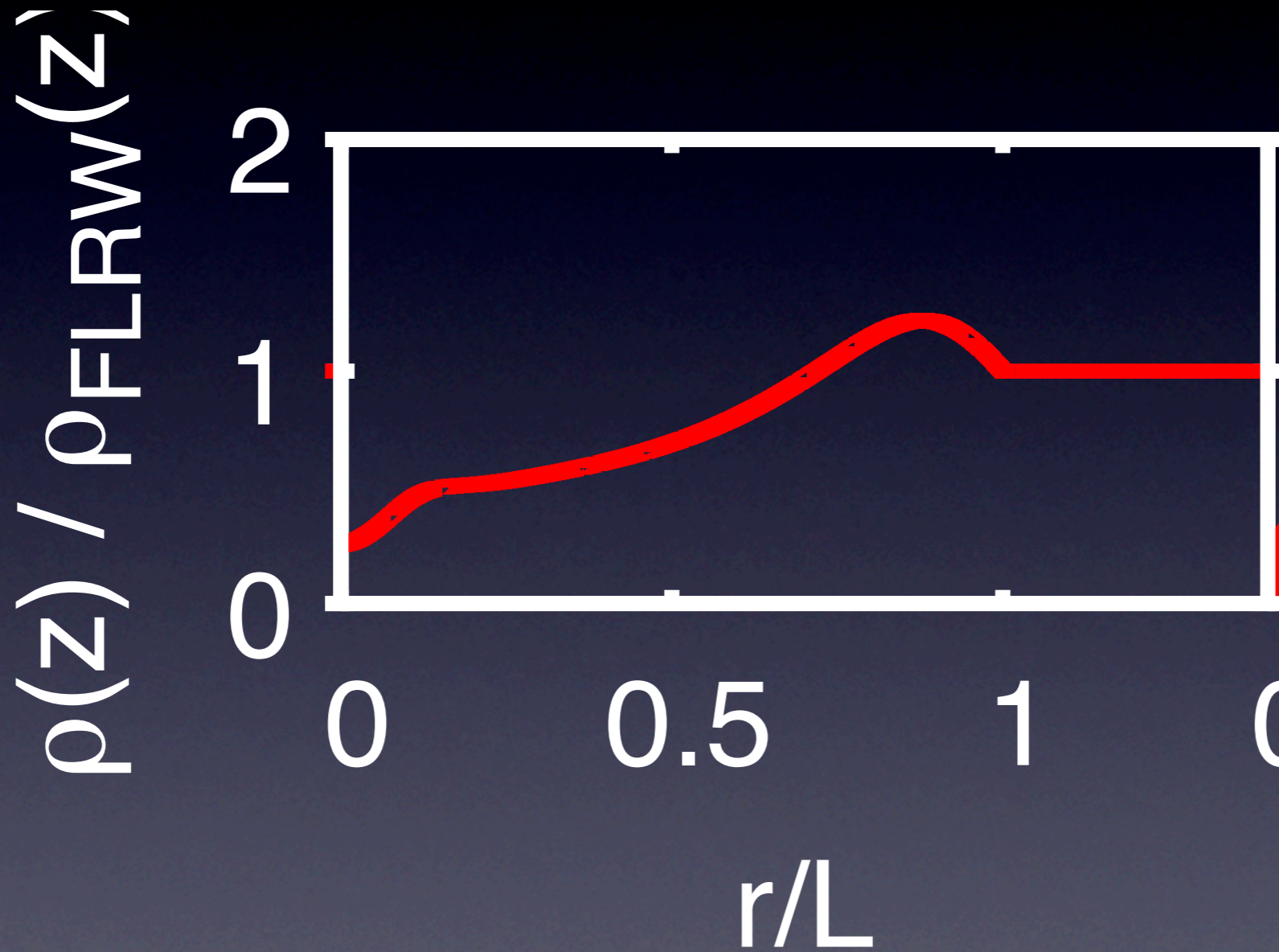
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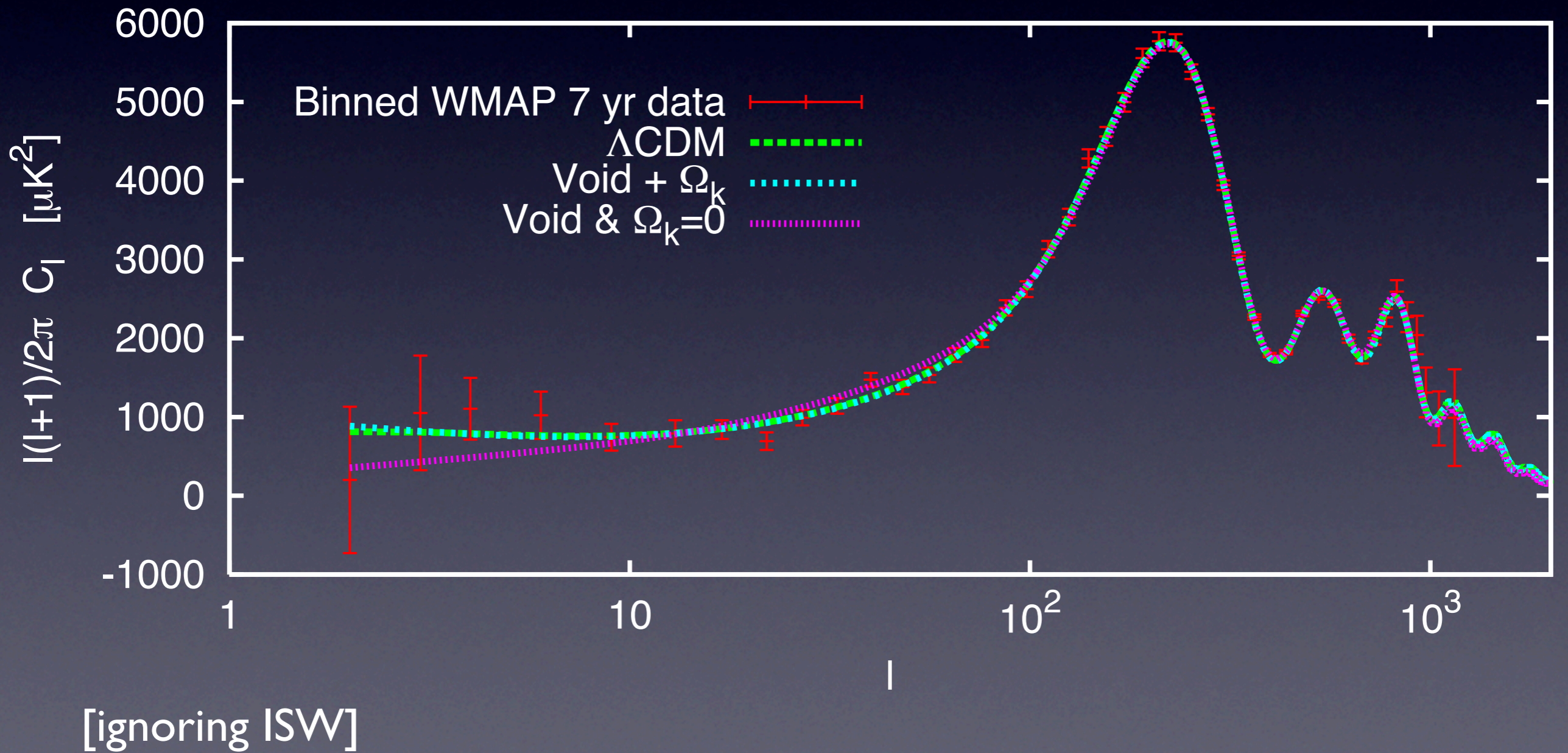
For all the following we chose $t_{BB}(r) \equiv 0$

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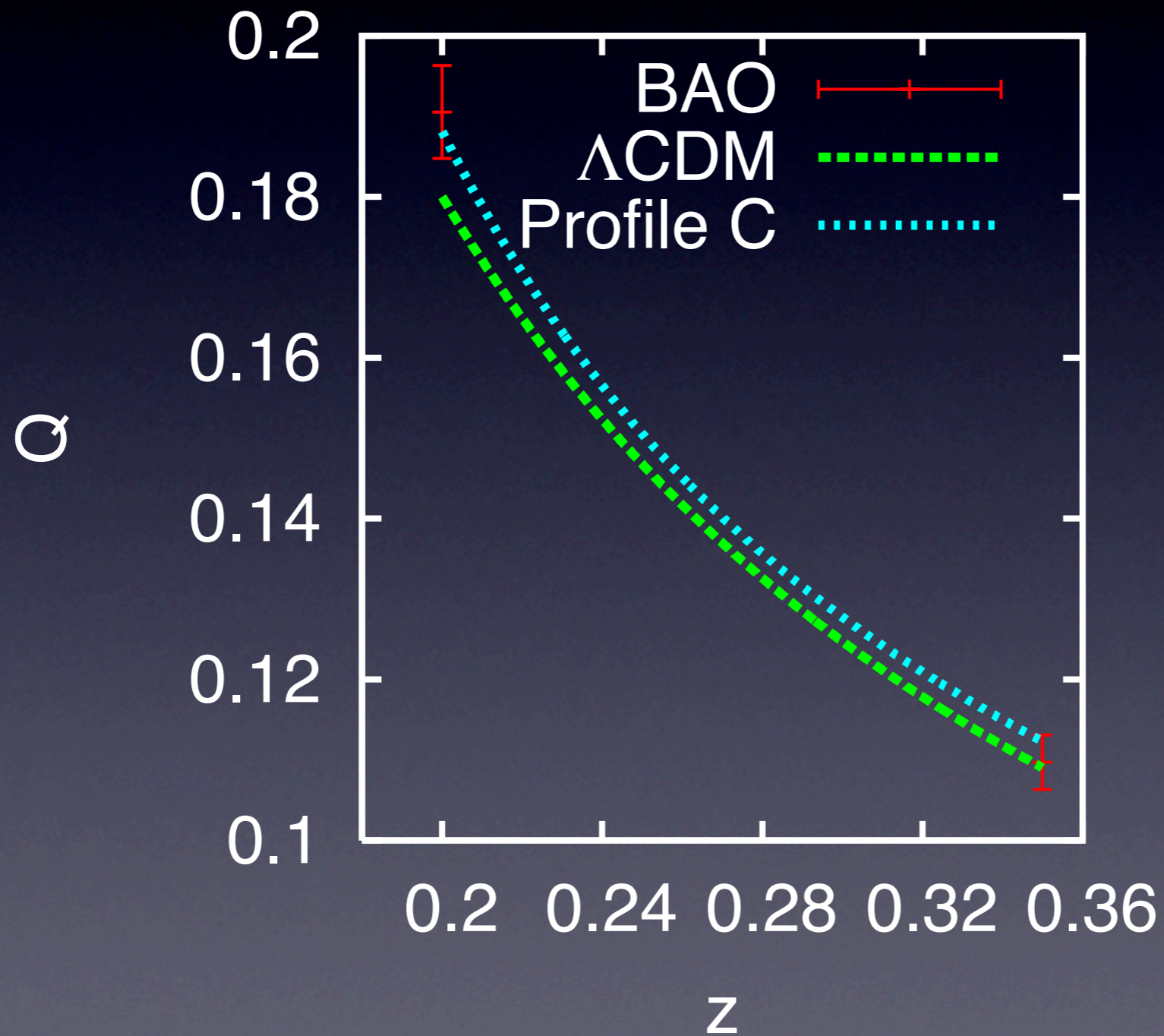
Density profiles



CMB

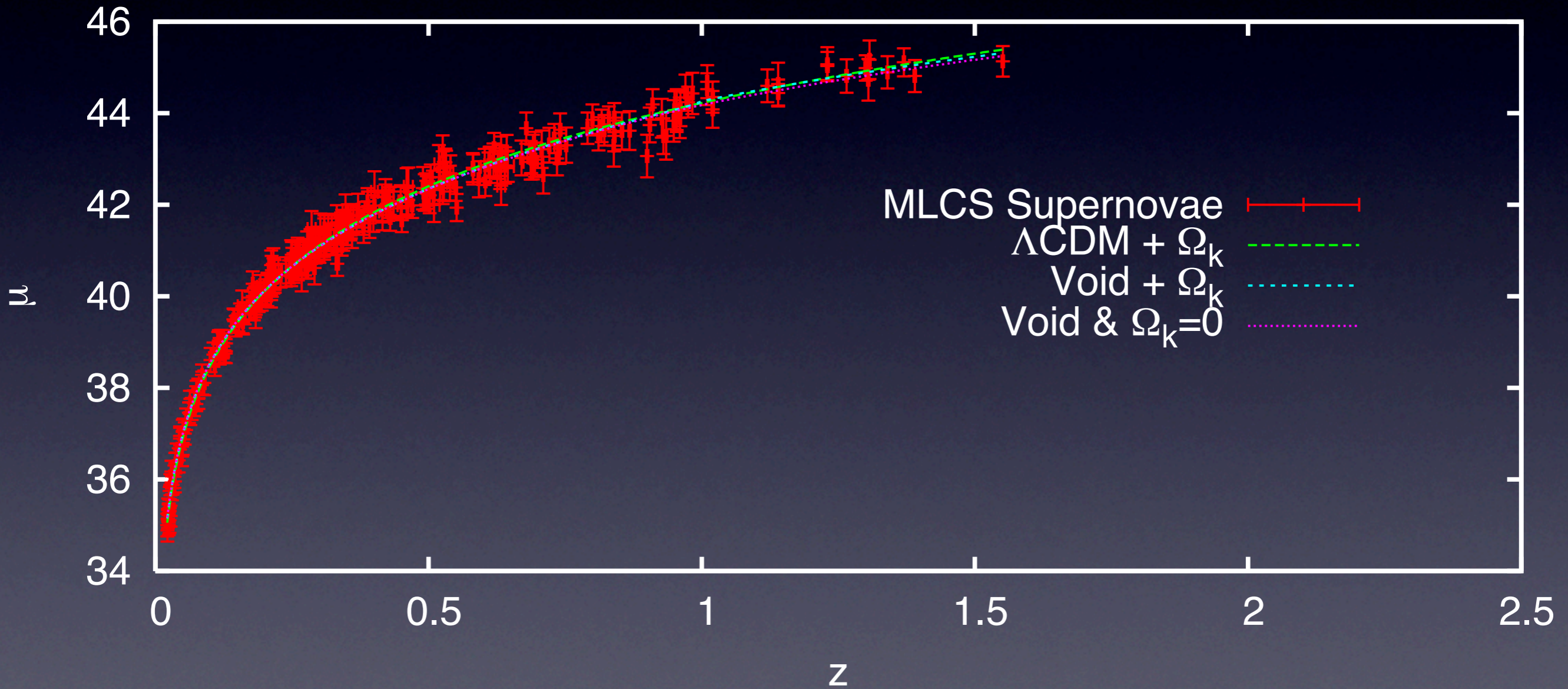


BAO



Supernovae

CMB + BAO + SN + HST



LCDM

Void in EdS

Void in Curved FLRW

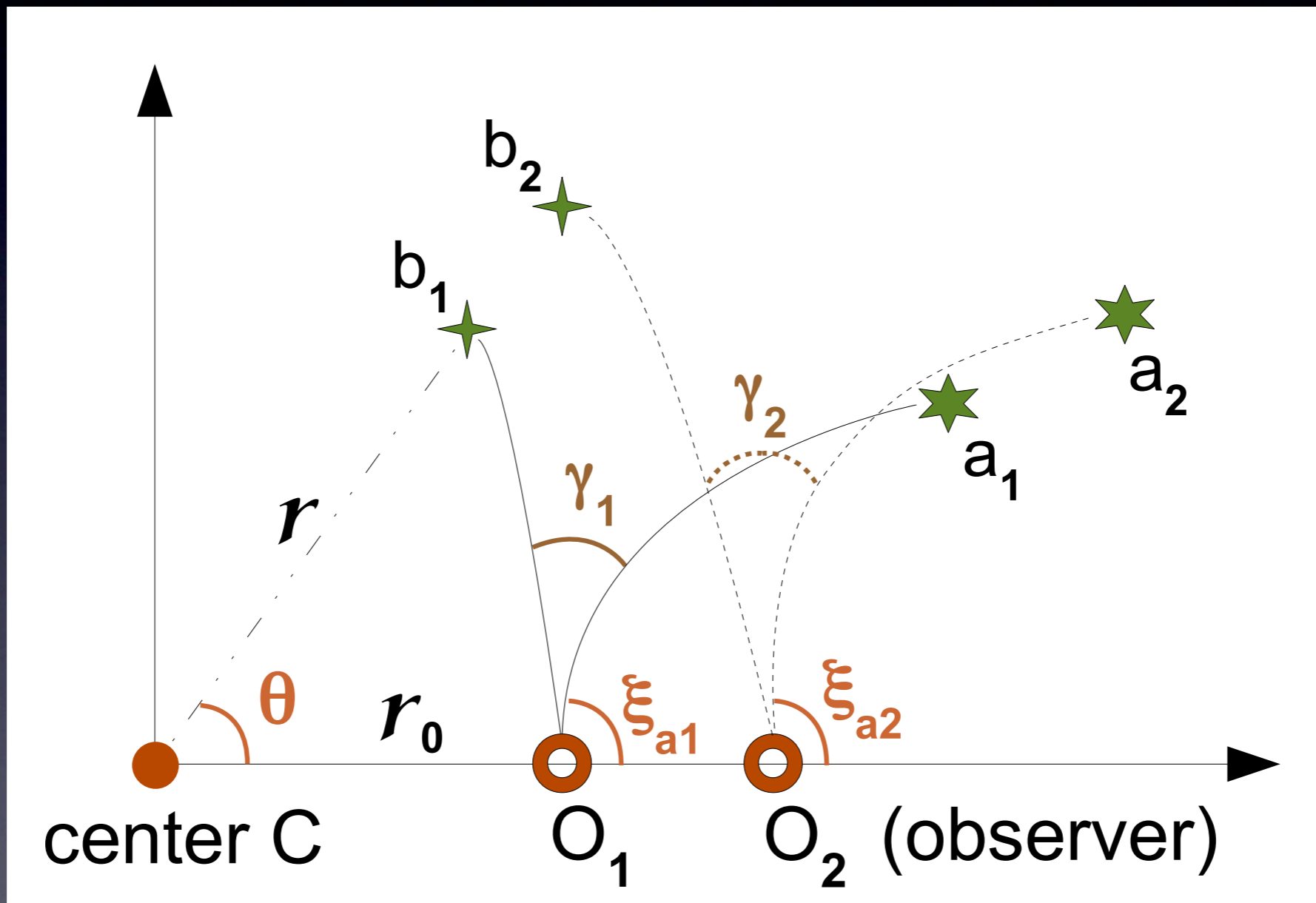
How good is it?

Model	CMB	BAO	SN	HST _{62±6}	total χ^2
Λ CDM	3372.1	3.2	239.3	0.4	3615.0
LTB (Profile C)	3376.9	1.0	234.9	3.7	3616.5

How crazy is it?

Profile	z_B	L [Mpc]	$r_{3.355\text{mK}}$ [Mpc]	r/L
C	2.912	3599.686	12.664	0.00167

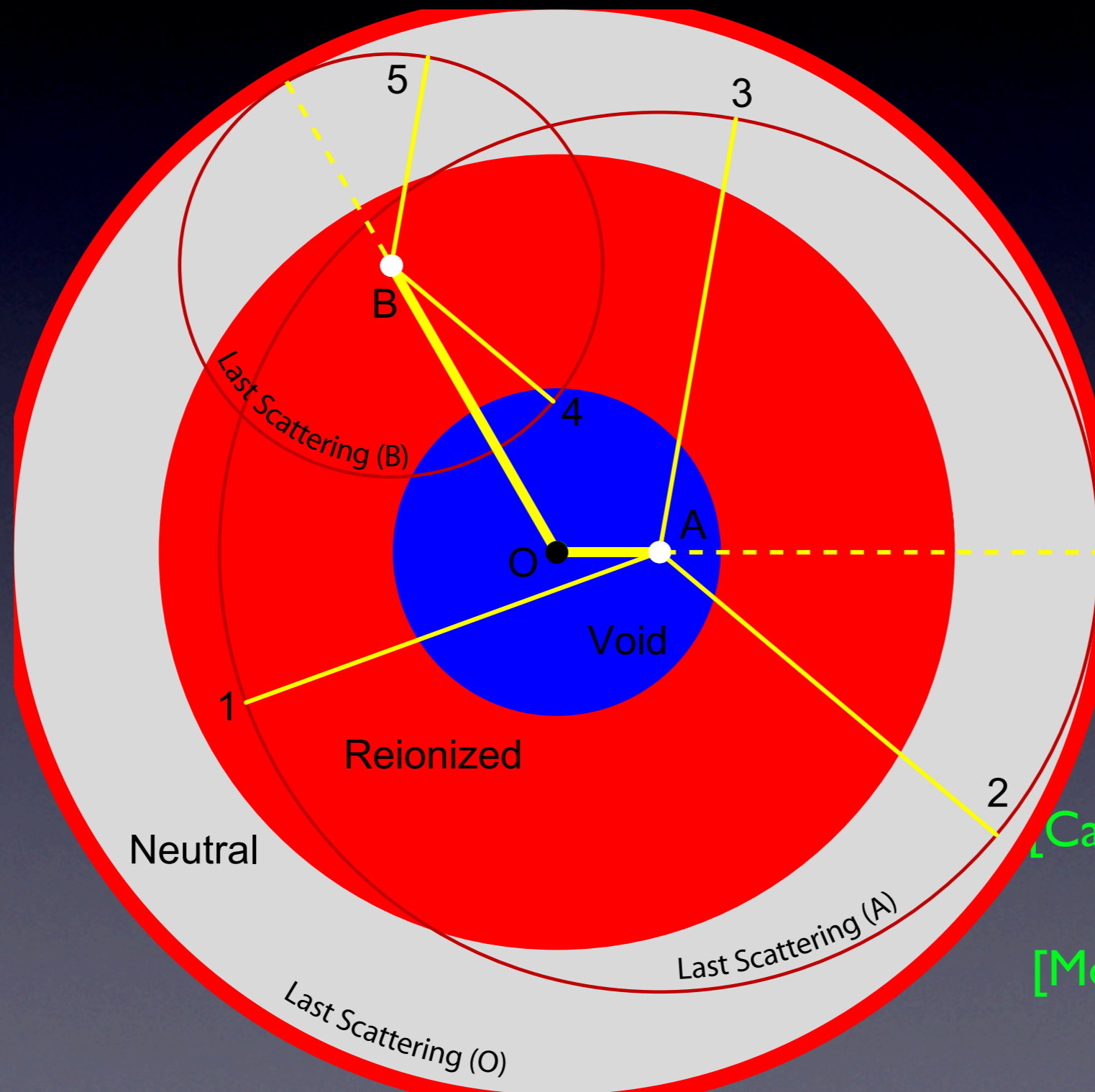
Realtime cosmology



[Quartin, Amendola, 2009]

Compton γ distortion

departure from black body

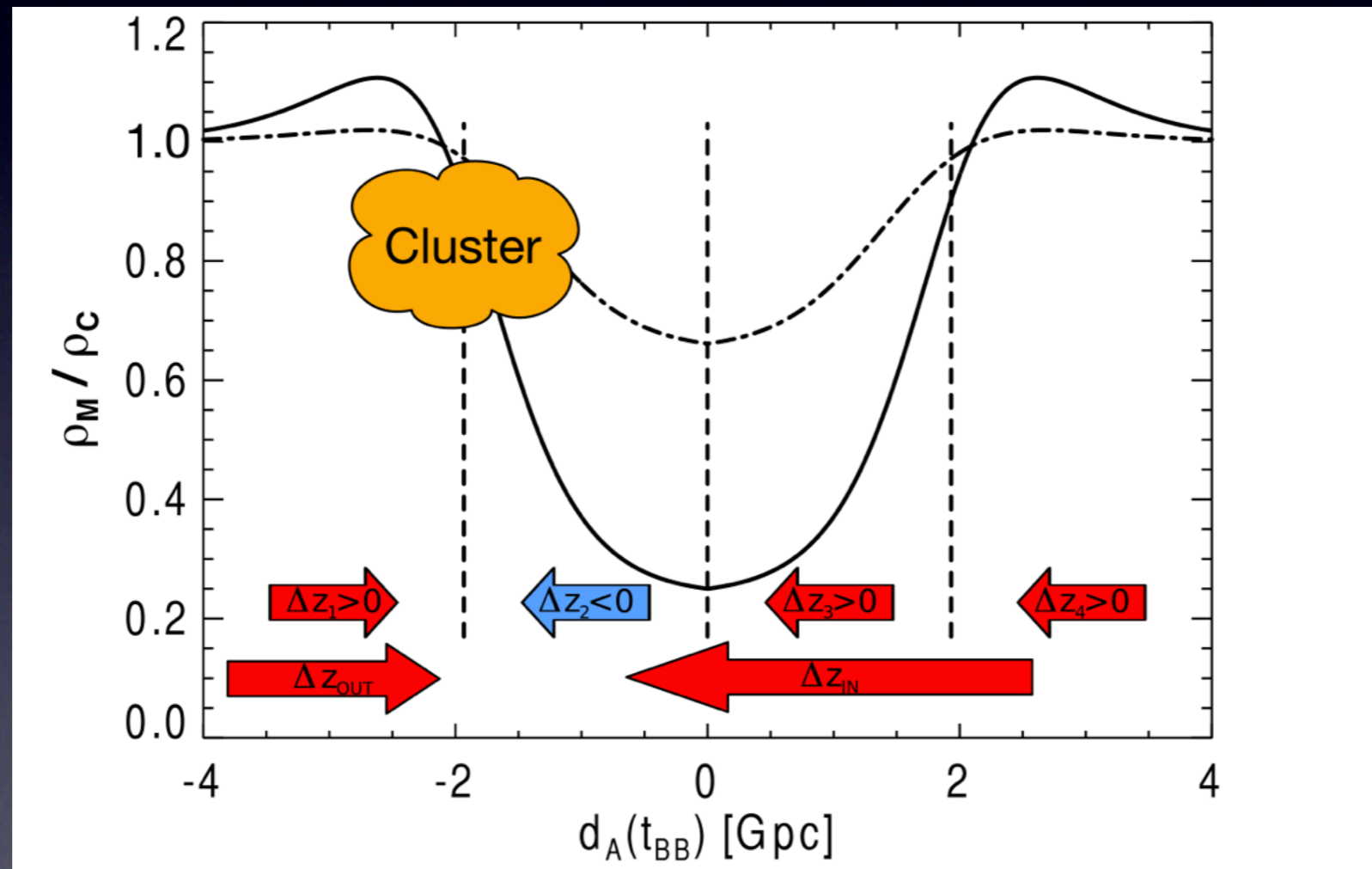


[Caldwell, Stebbins, 2008]

[Moss, Zibin, Scott, 2010]

kinematic SZ

change in temperature



[from García-Bellido & Haugbølle, 2008]

[Zhang & Stebbins, 2010]

Connection to “normal cosmology”

$$H_0 [t(A) - t_{BB}(r)] = \int_0^A \frac{\sqrt{a} da}{\sqrt{\Omega_m(r) + \Omega_k(r)a + \Omega_\Lambda(r)a^3}}$$

Connection to “normal cosmology”

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$$= \frac{2}{3\sqrt{\Omega_\Lambda}} \frac{(-1)^{-\frac{9}{2}}}{\sqrt{\prod_{m=1}^3 y_m}} R_J \left(\frac{1}{A} - \frac{1}{y_1}, \frac{1}{A} - \frac{1}{y_2}, \frac{1}{A} - \frac{1}{y_3}, \frac{1}{A} \right)$$

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- Λ LTB gives the full exact(ly solved!) metric for spherical collapse in Λ CDM

[VV, arXiv:1104.1082]

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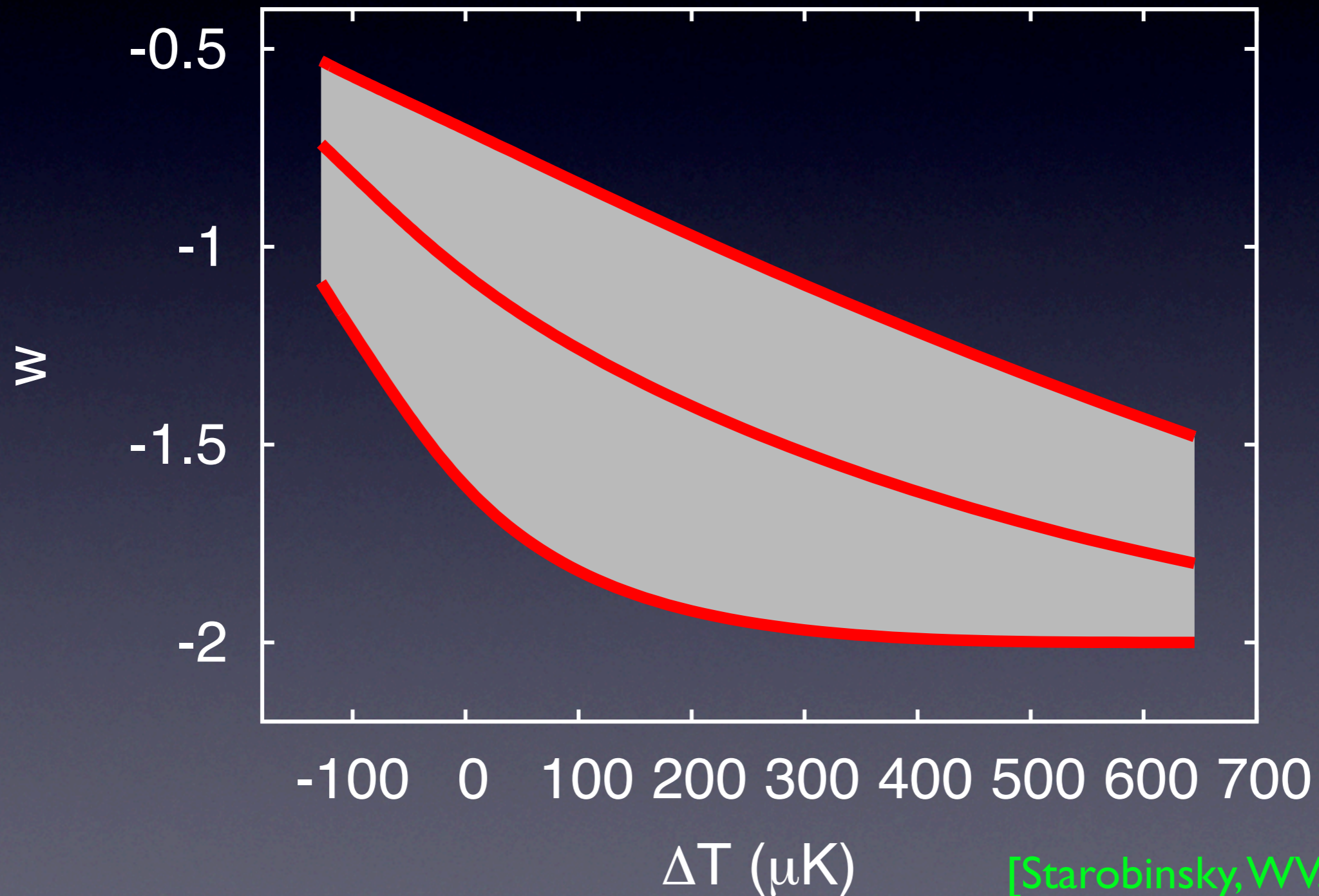
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- Λ LTB gives the full exact(ly solved!) metric for spherical collapse in Λ CDM
- Λ LTB allows for modelling the CMB cold spot to what it has become today

[WV, arXiv:1104.1082]

[Starobinsky, WV, in preparation]

Living in the cold spot



[Starobinsky, WV, in preparation]

Conclusion

- Λ CDM is the not only possibility yet.
- Future observations may test the Copernican / cosmological principle.
- Even in Λ CDM, Λ LTB is a useful tool.