

Dark Matter Effective Theory

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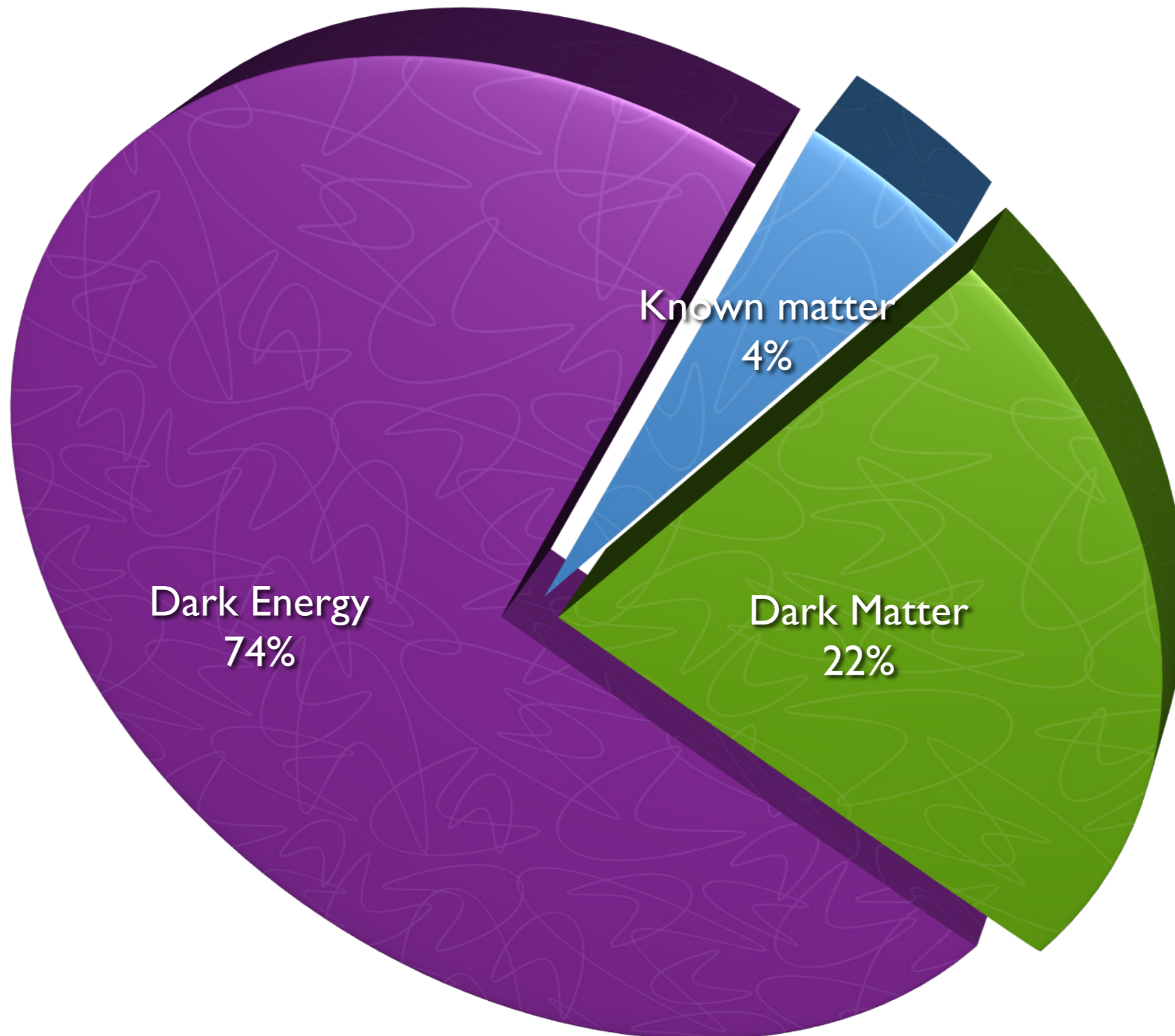
based on arXiv:1102.3116v1 [hep-ph] with F. Sannino

CP³ - Origins



Particle Physics & Origin of Mass

The problem



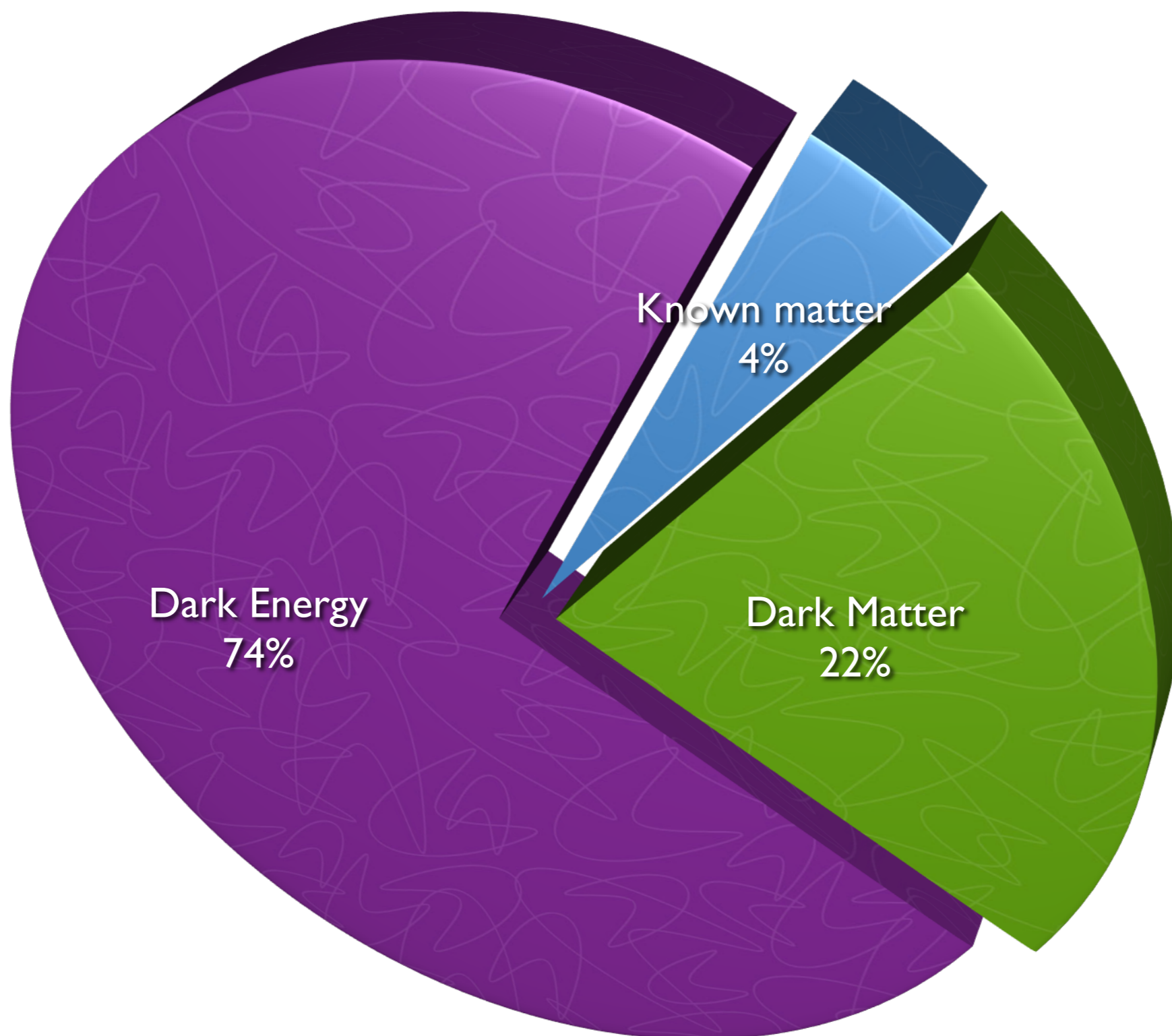
Do-a-bility

In order to keep things doable,
one usually considers only

- A unique DM candidate
- A few specific interaction terms

But...

(back to) The problem



4% vs 22%

The Standard Model

A $SU(3) \otimes SU(2) \otimes U(1)$ gauge theory with three generations of chiral fermions, namely two quarks, a charged lepton and a neutrino each. A scalar Higgs doublet spontaneously acquires a vacuum expectation value breaking the electroweak symmetry down to $U(1)$ -electromagnetic, providing mass to the heavy gauge bosons and to the fermions, but leaving the photon massless; this also implies a mixing between quarks. The strong sector generates an entire 'zoo' of composite states, and two accidental symmetries enforce the stability of the electron and of the proton. The non-trivial topology of the vacuum enriches the dynamics of the model. The model is renormalizable and gauge anomaly free.

Dark Matter



Effective field theory I

Even remaining in the framework of usual gauge theories,
we can face different possibilities:

- New matter multiplets (e.g. Minimal [Dark] Matter)
- A new gauge sector (e.g. Z' , W')
- A new composite sector (e.g. Technicolor)
- Grand Unified Theories (GUTs)
- ...

Anyway, whatever new scenario is out there, if it's possible
to decouple “light” physics from “heavy” physics we can
undertake an **effective theory** approach

Effective field theory II

It's a parametrization of our ignorance

- Order the operators in the inverse of the new physics energy scale Λ
- Preserve $SU(3)_C$ and $U(1)_{EM}$ symmetries (the EW sector might still seem broken)
- Then, comparison with experimental results can tell us which operators are more important for what (direct & indirect detection & cosmology)

New scalar(s)

Augment the SM with a new (complex) scalar

ϕ	(D^+, D^0)	(T^+, T^0, T^-)
	or	
Singlet	(D^0, D^-)	Triplet
	Doublet	

Assumptions:

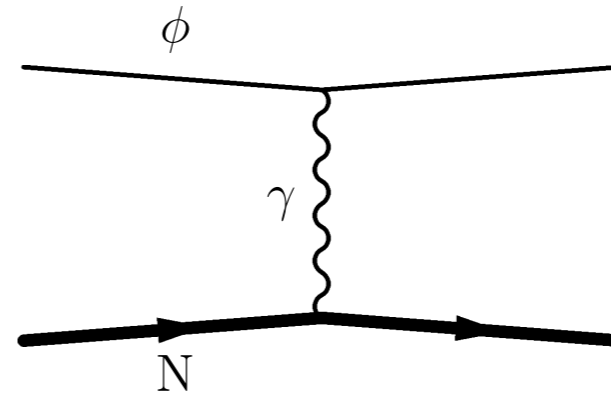
- Electric and color neutral
- Stable due to a new global U(1) symmetry

Gauge invariance

$$J_\mu \frac{\partial_\nu F^{\mu\nu}}{\Lambda^2} \quad \text{charge radius operator}$$

Bagnasco, Dine,
Thomas '93;
Foadi, Frandsen,
Sannino, '08

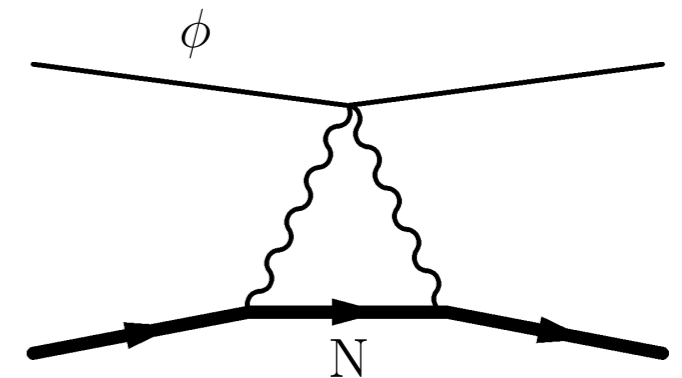
direct detection:



$$\left. \begin{aligned} &\frac{\phi^* \phi}{\Lambda^2} F^{\mu\nu} F_{\mu\nu} \\ &\frac{\phi^* \phi}{\Lambda^2} F_{\mu\nu} \tilde{F}^{\mu\nu} \end{aligned} \right\}$$

indirect detection: $\phi\phi \rightarrow \gamma\gamma$

direct detection:



Also $\frac{\phi^* \phi}{\Lambda^2} G_{\mu\nu}^a G_a^{\mu\nu}$ and $\frac{\phi^* \phi}{\Lambda^2} G_{\mu\nu}^a \tilde{G}_a^{\mu\nu}$

Effective EW interactions

The lowest order terms are

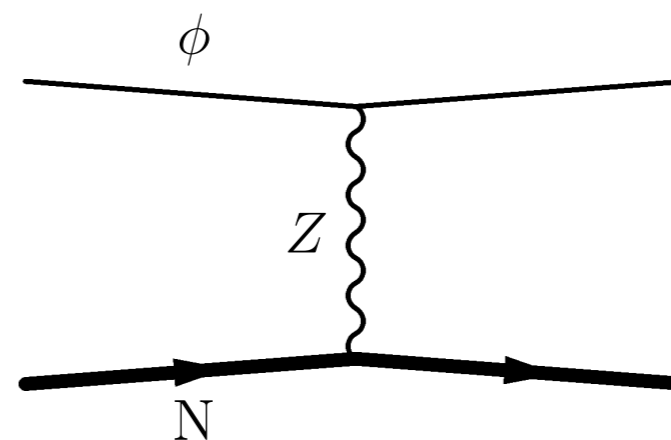
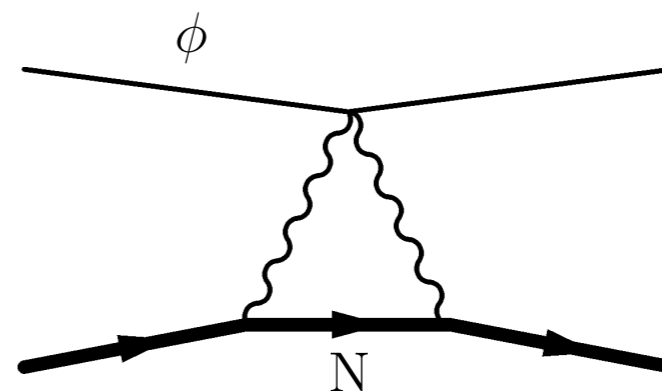
$$\phi^* \phi Z^\mu Z_\mu$$

$$\phi^* \phi W^{+\mu} W_\mu^-$$

$$\phi^* \phi (\partial_\mu Z^\mu)$$

$$J_\mu Z^\mu$$

direct detection:



DM-SM fermions interaction

$$\phi^* \phi \bar{\psi} \psi ,$$

$$\partial_\mu (\phi^* \phi) \bar{\psi} \gamma^\mu \psi ,$$

$$J_\mu \bar{\psi} \gamma^\mu \psi ,$$

$$\phi^* \phi \bar{\psi} i \not{D} \psi ,$$

$$\phi^* \phi \bar{\psi} \gamma^5 \psi ,$$

$$\partial_\mu (\phi^* \phi) \bar{\psi} \gamma^\mu \gamma^5 \psi ,$$

$$J_\mu \bar{\psi} \gamma^\mu \gamma^5 \psi ,$$

$$\phi^* \phi \bar{\psi} i \not{D} \gamma^5 \psi$$

ψ and $\bar{\psi}$ are any two SM fermions such that their combination is colorless and electrically neutral

Examples:

$$\phi^* \phi \bar{\mu} e$$

$$\phi^* \phi \bar{u} \not{D} c$$

Flavor changing operators
 (suppressed by a power of $1/\Lambda$)

DM-Higgs and self-interaction

$$\mathcal{L}_{\phi h} = \phi^* \phi \sum_{n=1}^4 a_n \frac{h^n}{\Lambda^{n-2}} + (\phi^* \phi)^2 \sum_{n=1}^2 b_n \frac{h^n}{\Lambda^n} + (\partial^\mu \phi^*)(\partial_\mu \phi) \sum_{n=1}^2 c_n \frac{h^n}{\Lambda^n} +$$

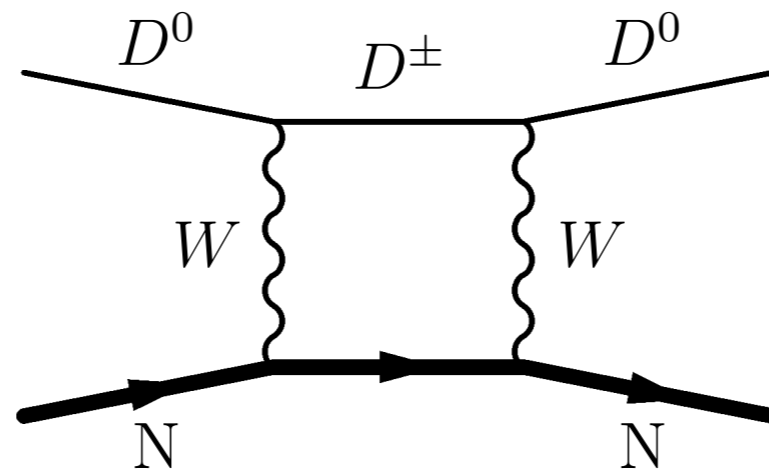
$$\partial^\mu (\phi^* \phi)(\partial_\mu h) \sum_{n=0}^1 d_n \frac{h^n}{\Lambda^{n+1}} + J^\mu (\partial_\mu h) \sum_{n=0}^1 e_n \frac{h^n}{\Lambda^{n+1}} + f \phi^* \phi \frac{(\partial^\mu h)(\partial_\mu h)}{\Lambda^2}$$

$$\mathcal{L}_{\phi\phi} = (\partial^\mu \phi^*)(\partial_\mu \phi) - m_\phi^2 \phi^* \phi + \sum_{n=2}^3 g_n \frac{(\phi^* \phi)^n}{\Lambda^{2n-4}} + \frac{k}{\Lambda^2} (\partial^\mu \partial_\mu \phi^*)(\partial^\nu \partial_\nu \phi) +$$

$$\frac{1}{\Lambda^2} (l_1 \partial^\mu (\phi^* \phi) \partial_\mu (\phi^* \phi) + l_2 \partial^\mu (\phi^* \phi) J_\mu + l_3 J^\mu J_\mu)$$

Doublet & Triplet

They contain the **inelastic DM** scenario as special case:



New flavor and lepton number violating operators, e.g.

$$\frac{1}{\Lambda} D^{0*} D^+ u_{Ri}^c d_{Lj} \quad \frac{1}{\Lambda} T^{+*} T^- \bar{e}_{Li} \bar{e}_{Lj}$$

(all left-handed Weyl fermions; i, j flavor indices)

Conclusions and outlook

- In order to provide a common ground for several possible DM scenarios, we classified all the interaction terms between DM and SM fields up to dimension 6 in Λ in the framework of an effective theory
- Flavor changing operators arise from our analysis
- Now that we have all the operators it is possible to perform a complete study of the relic density