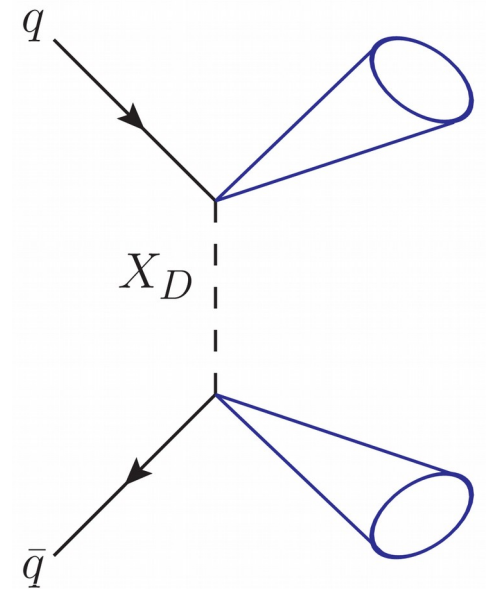


# Strongly interacting dark matter pheno at colliders: t-channel mediators

Christiane Scherb (Mainz University)

Dark Showers Snowmass Project Meeting

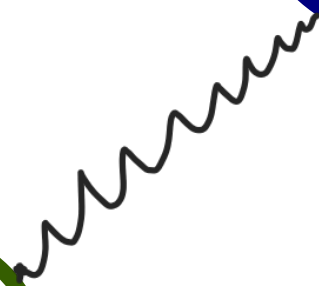
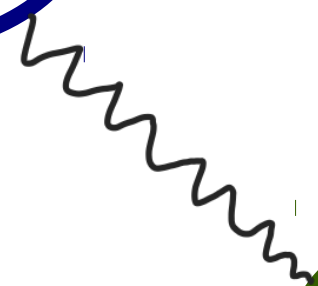


Based on  
Bai, Schwaller, 2013  
Schwaller, Stolarski, Weiler, 2015  
Renner, Schwaller, 2018  
Mies, CS, Schwaller, 2020

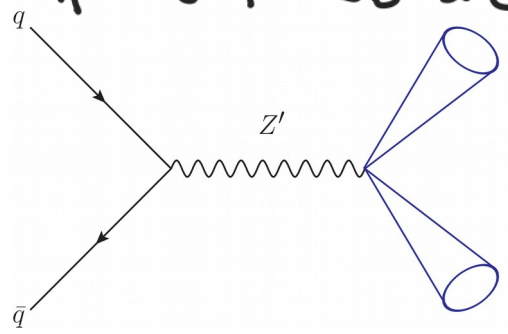
SM

$SU(N)_0$   
dark sector

portal

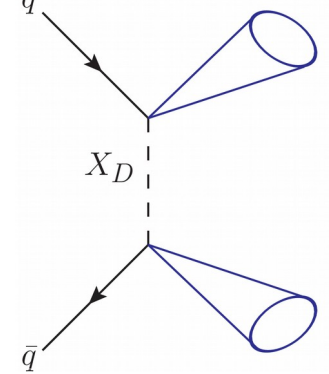


$$\mathcal{L} \supset Z'_\mu (\partial_\mu \bar{q}_i \gamma^\mu q_i + g_0 \bar{Q}_\alpha \gamma^\mu Q_\alpha)$$



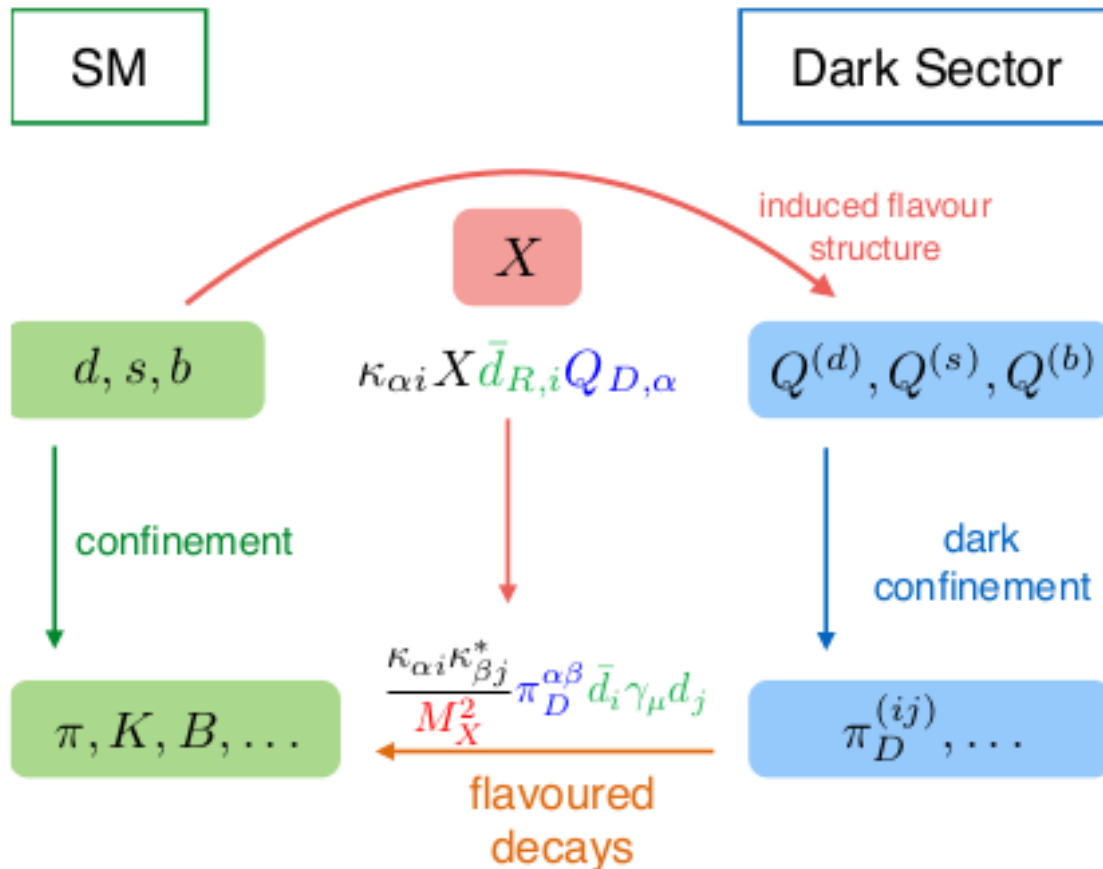
s-channel

$$\mathcal{L} \supset -\kappa_{\alpha i} Q_{\alpha i} X \bar{q}_{R i} + \text{h.c.}$$



t-channel

# t-channel models



$$\mathcal{L} \supset -\frac{1}{4} G_{D\mu\nu} G_D^{\mu\nu}$$

$$+ i \bar{Q}_0 \not{D} Q_0$$

$$- m_Q \bar{Q}_0 Q_0$$

$$+ \partial_\mu X \partial^\mu X$$

$$+ m_X |X|^2$$

$$- \kappa_{\alpha i} Q_{\alpha} X \bar{q}_{Ri} + \text{h.c.}$$

$SU(3)_D$ , 3 dark flavours

$q_{Ri} = d_{Ri}$  or  $u_{Ri}$

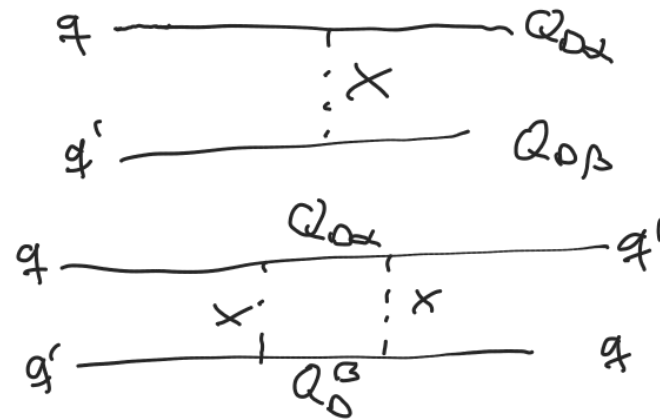
# connection to flavour

Yukawa-like coupling

$$\chi_{ij} \bar{q}_{Rj} X_D Q_{DLi}$$

constraints from

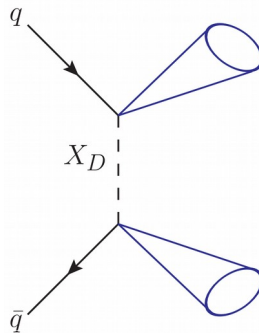
- ♦ exotic meson decays
- ♦ neutral meson mixing



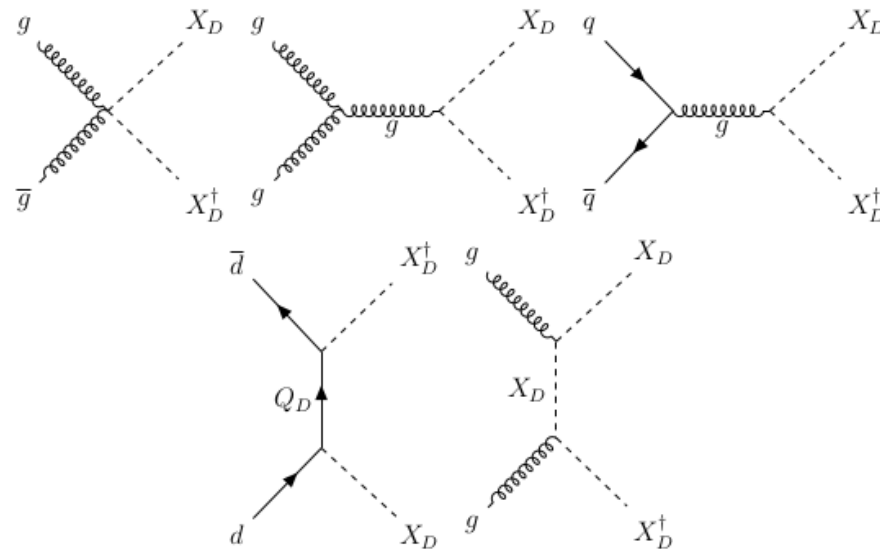
- couplings to up- and down-type quarks studied
- collider pheno mostly for couplings to down-type quarks

# collider phenomenology

## 1) direct pair-production of dark quarks



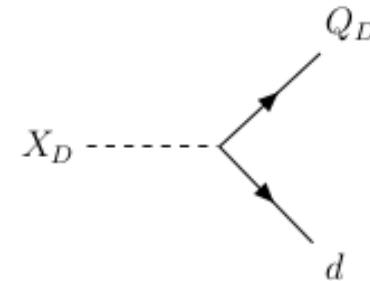
## 2) pair-production of mediator



# Collider signatures

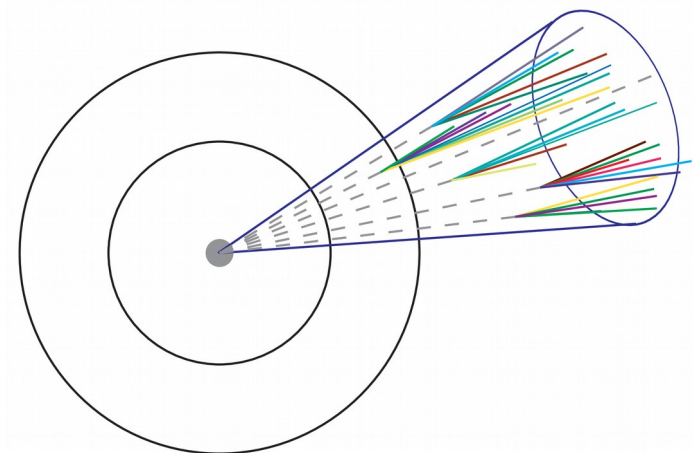
focus on pair produced mediators coupled to down-type quarks

- production cross-section depends on flavour structure of the model
- each mediator decays to a quark and dark quark
  - always **two SM jets**
  - **dark shower**, possibly containing stable DM candidate(s)
- signature depends on lightest dark hadron (**dark pion**) lifetime



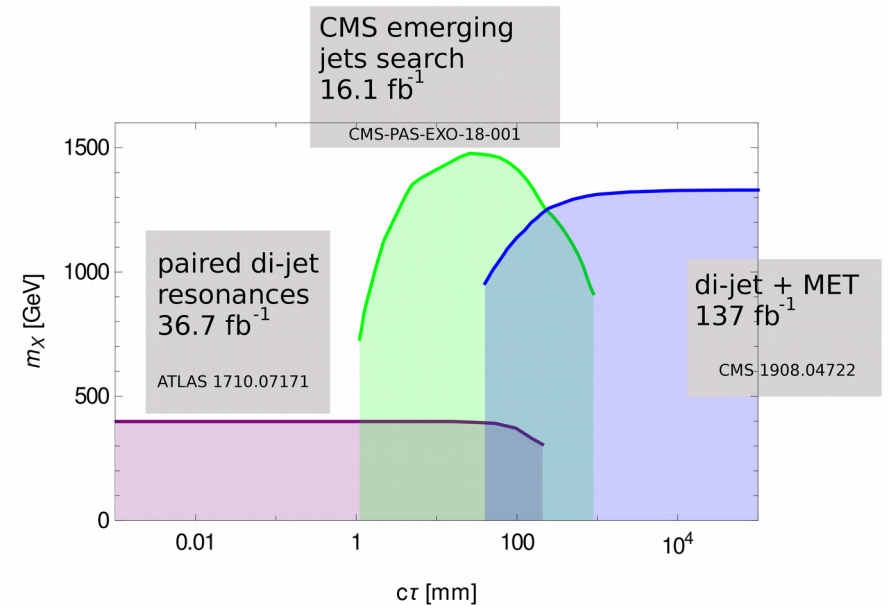
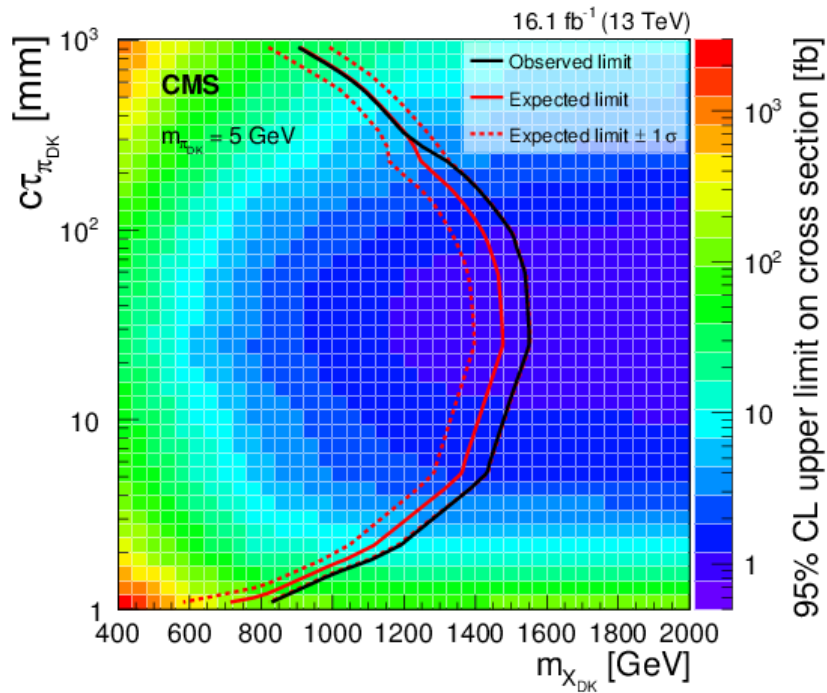
# Collider signatures

- prompt dark pion decay: **paired di-jet resonance**
- dark pions stable on collider scales: **di-jet + MET**
- intermediate lifetimes: **emerging jets**
  - few/no tracks in inner detector
  - dark pions decay at different distances from decay point
  - MET from DM candidate



# Searches

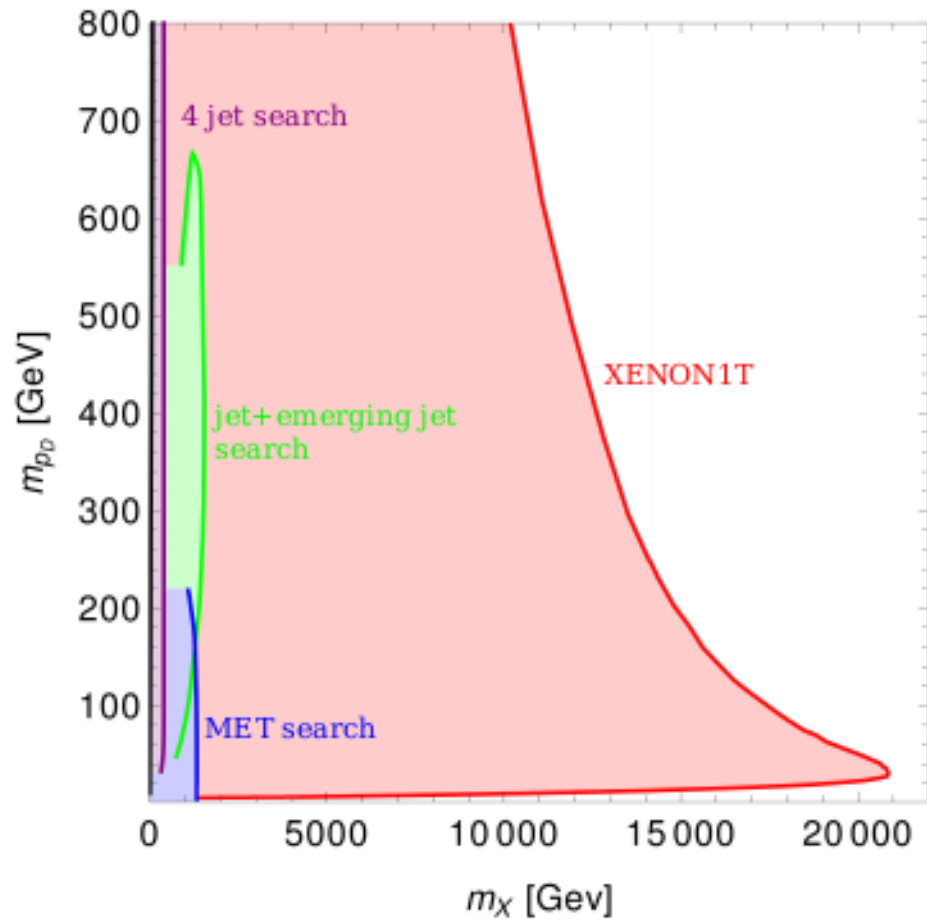
universal  $\pi_0$  lifetime



$$m_{\pi_0} = 5 \text{ GeV}$$

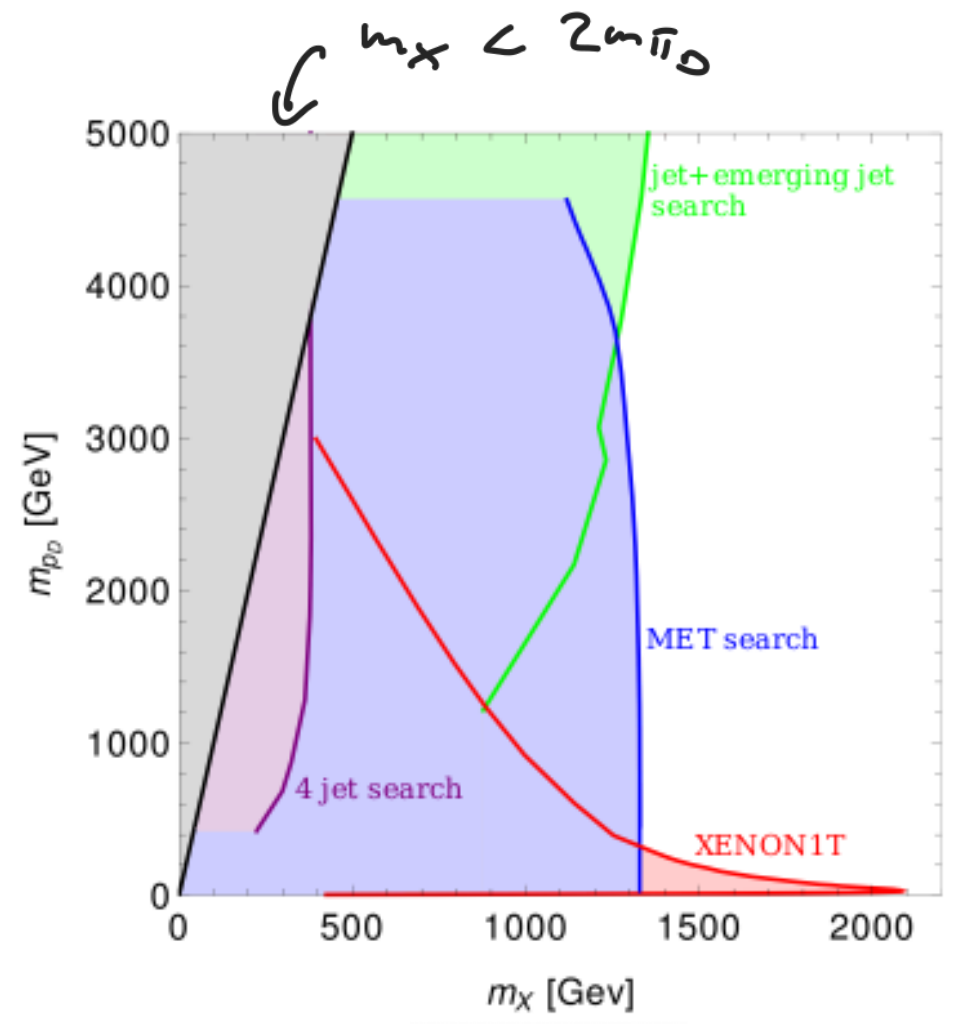


# DM-mass – mediator-mass space



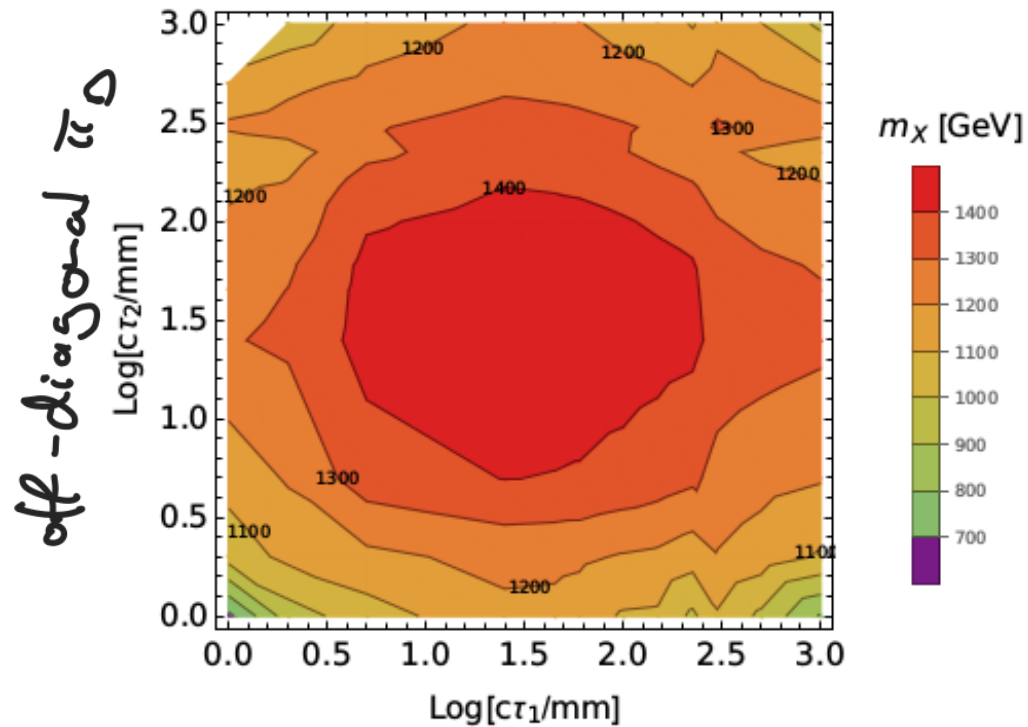
$$\lambda_{ii} = 1$$

$$m_{\tilde{\pi}_0} = \frac{1}{10} m_{p_0}$$



$$\lambda_{ii} = 0.1$$

# What happens for various dark pion lifetimes?



- sensitivity depends strongly on search implementation
- vetoes on prompt tracks could reduce sensitivity, if one dark pion decays nearly prompt

$n_{\text{dark Flavours}} = 3$

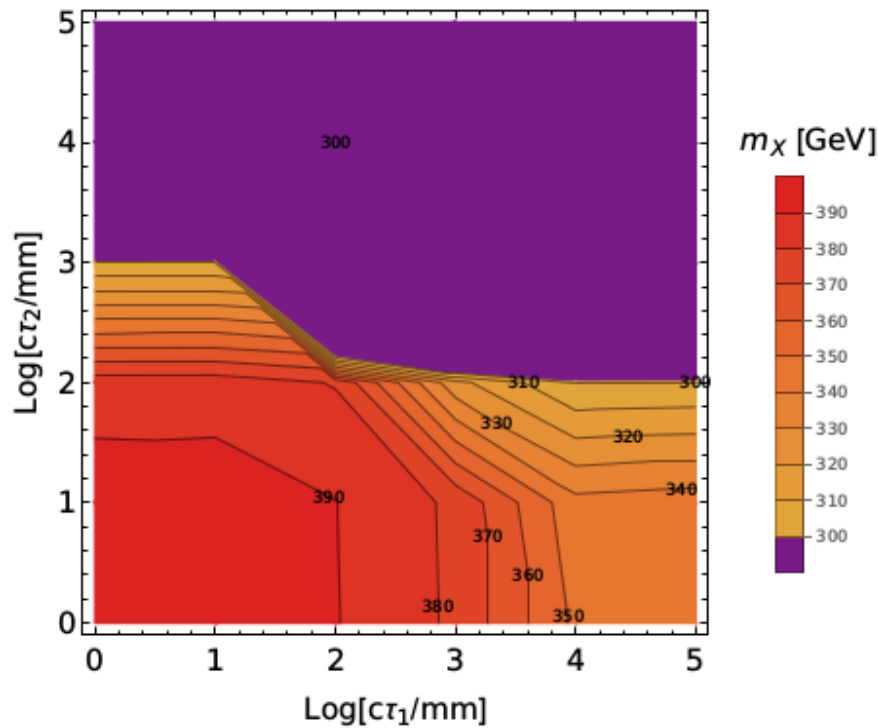
# Conclusion/Outlook

- (t-channel) dark sectors feature interesting pheno
- many signatures still unexplored:
  - up-flavoured dark sectors
    - dark showers from top decays possible
  - several dark pion species → new Pythia version
  - models with several mediators
  - ...

# Back-up

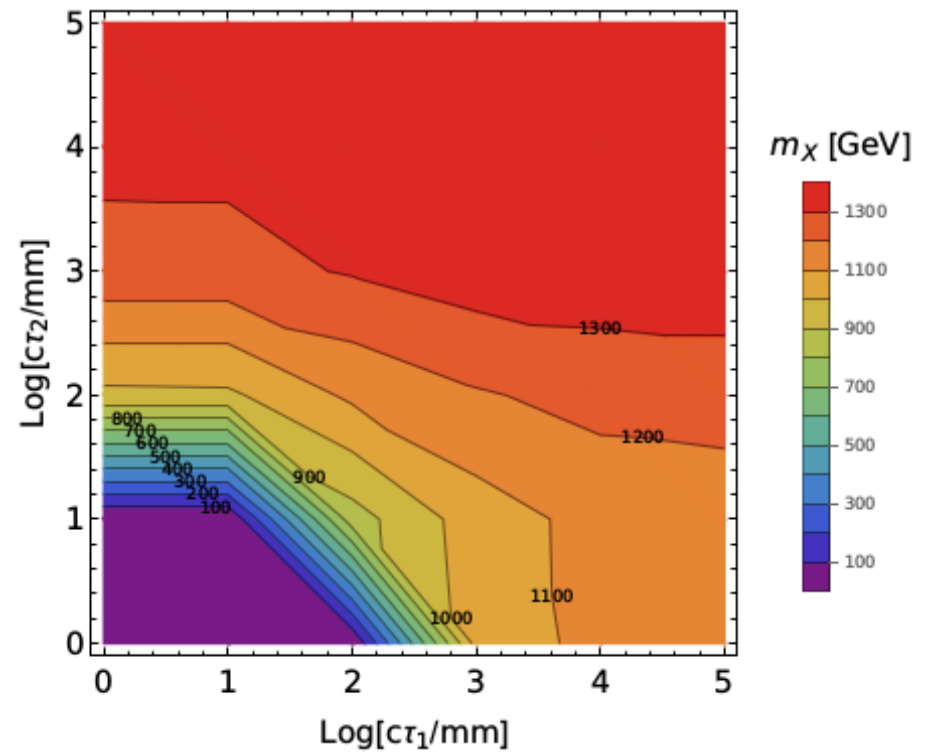
# What happens for various dark pion lifetimes?

paired di-jet



*diagonal  $\pi_0$*

di-jet +MET



*diagonal  $\pi_0$*

*off-diagonal  $\pi_0$*

# Adding flavour

- rare meson decays (depending on flavour structure)
- fixed target/forward physics facility
- direct detection

$$\mathcal{K}_i = \mathcal{U} D_i$$

$$D = \text{diag}(\mathcal{K}_0 + \mathcal{K}_1, \mathcal{K}_0 + \mathcal{K}_2, \mathcal{K}_0 - \mathcal{K}_1 - \mathcal{K}_2)$$

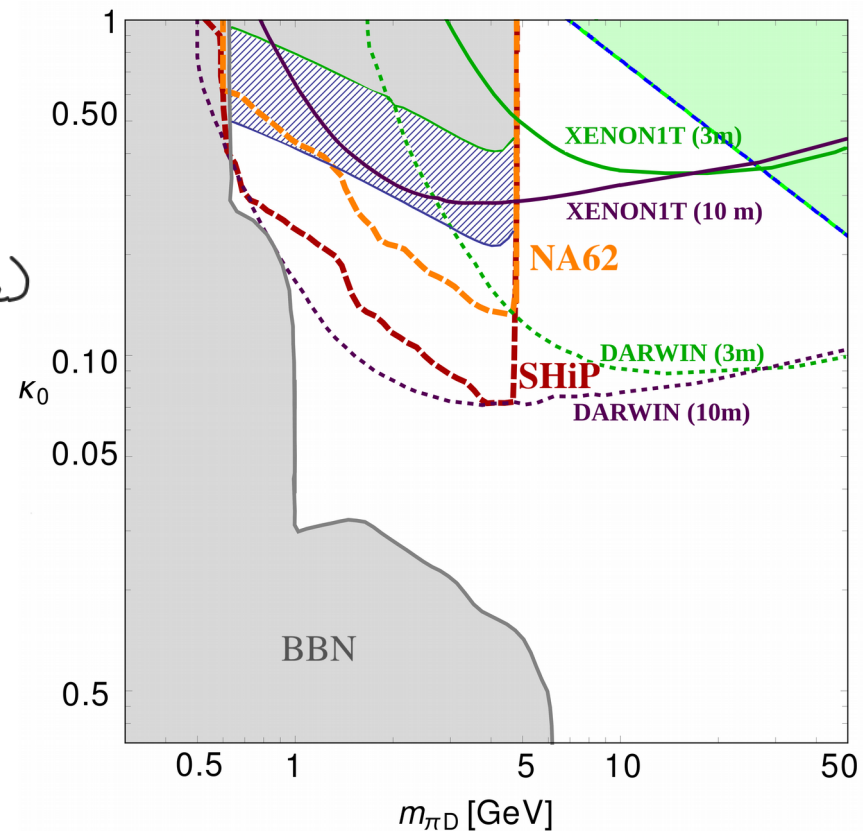
$$\mathcal{K}_1 = \frac{1}{4} \mathcal{K}_0$$

$$\mathcal{K}_2 = 0$$

$$\vartheta_{12} = \vartheta_{23} = 0$$

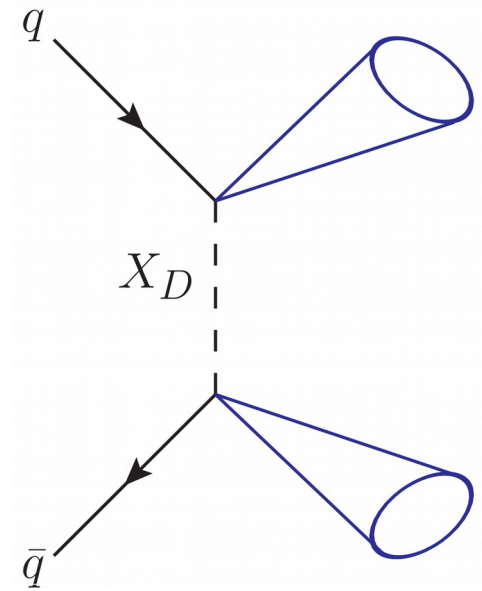
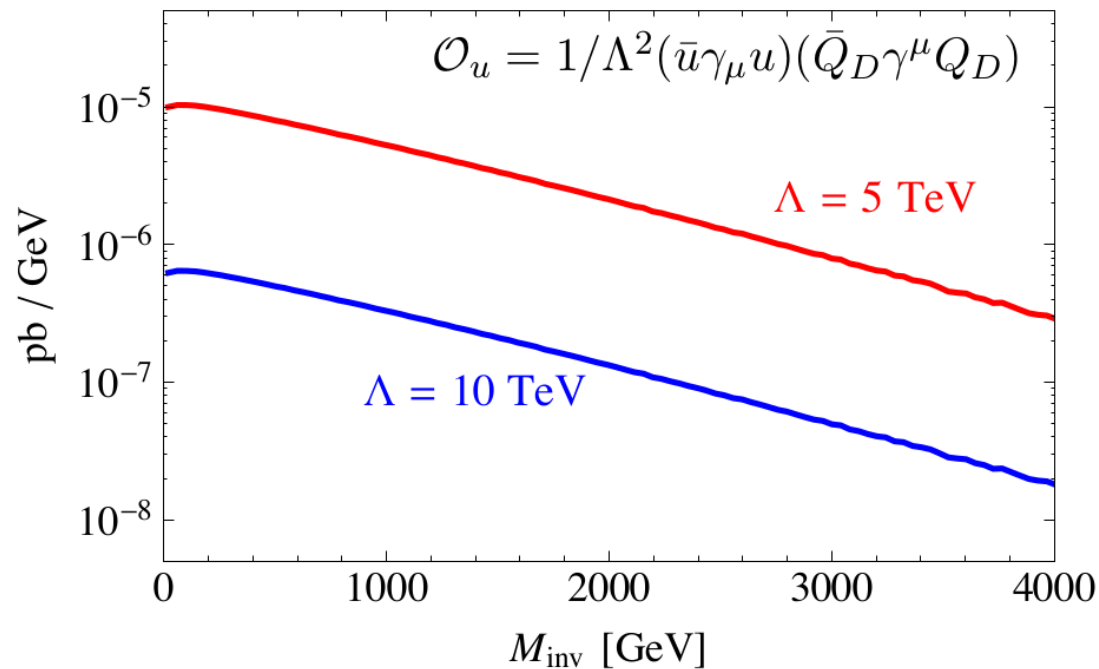
$$\sin \vartheta_{13} = 0,05$$

$$m_\chi = 1,55 \text{ TeV}$$



# direct production prospect

off-shell production

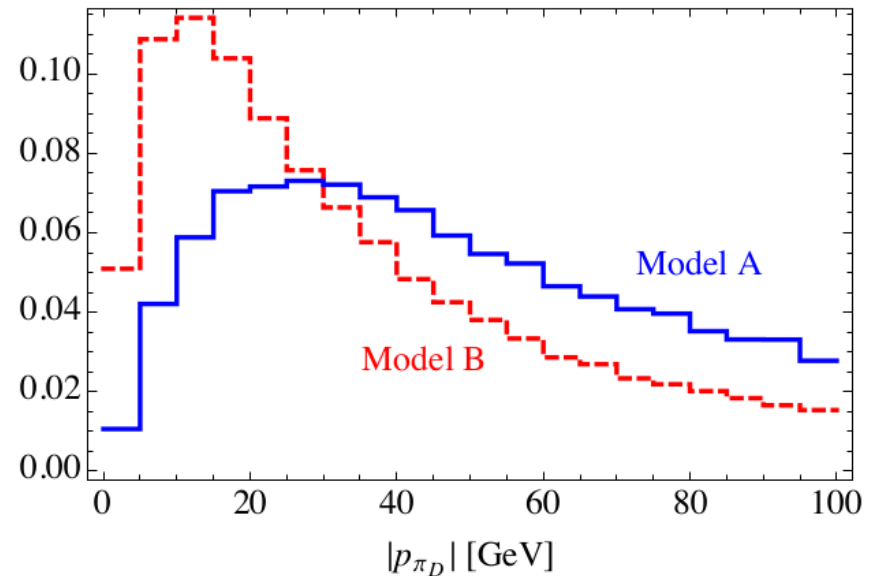
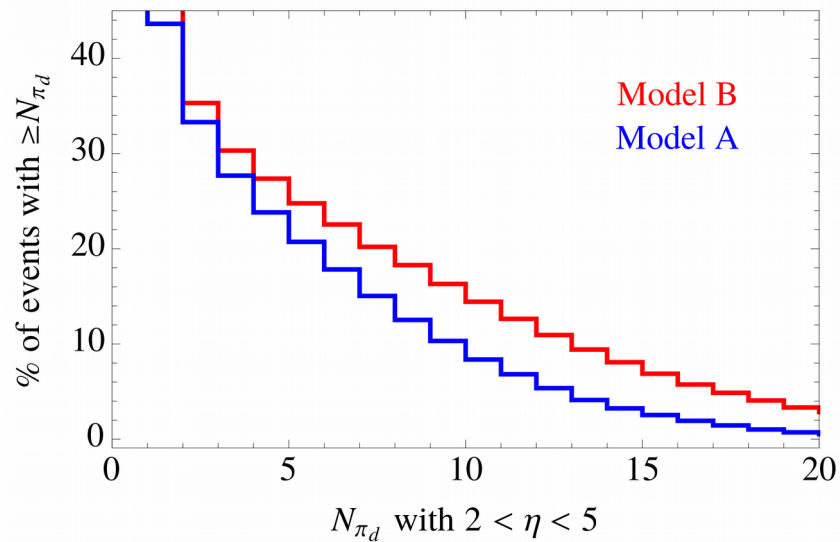


total rate:  $\sigma(pp \rightarrow \bar{Q}_D Q_D) \approx 8.2 \text{ pb} \times \left(\frac{\text{TeV}}{\Lambda}\right)^4 \times N_d \times N_F$

# LHCb prospect

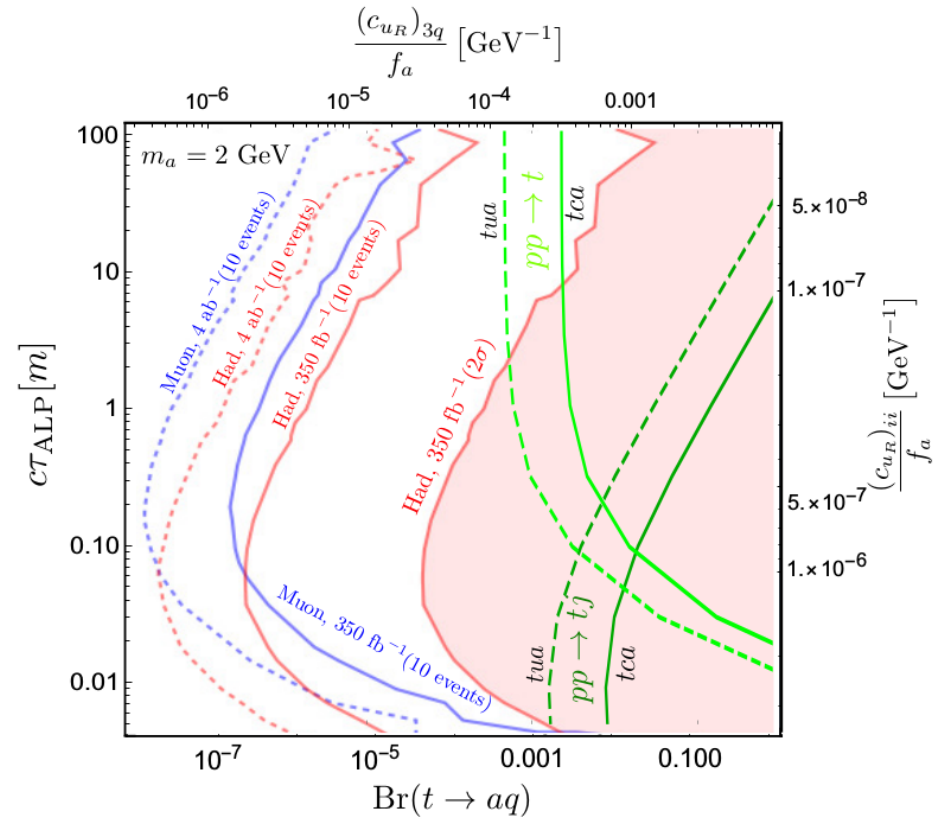
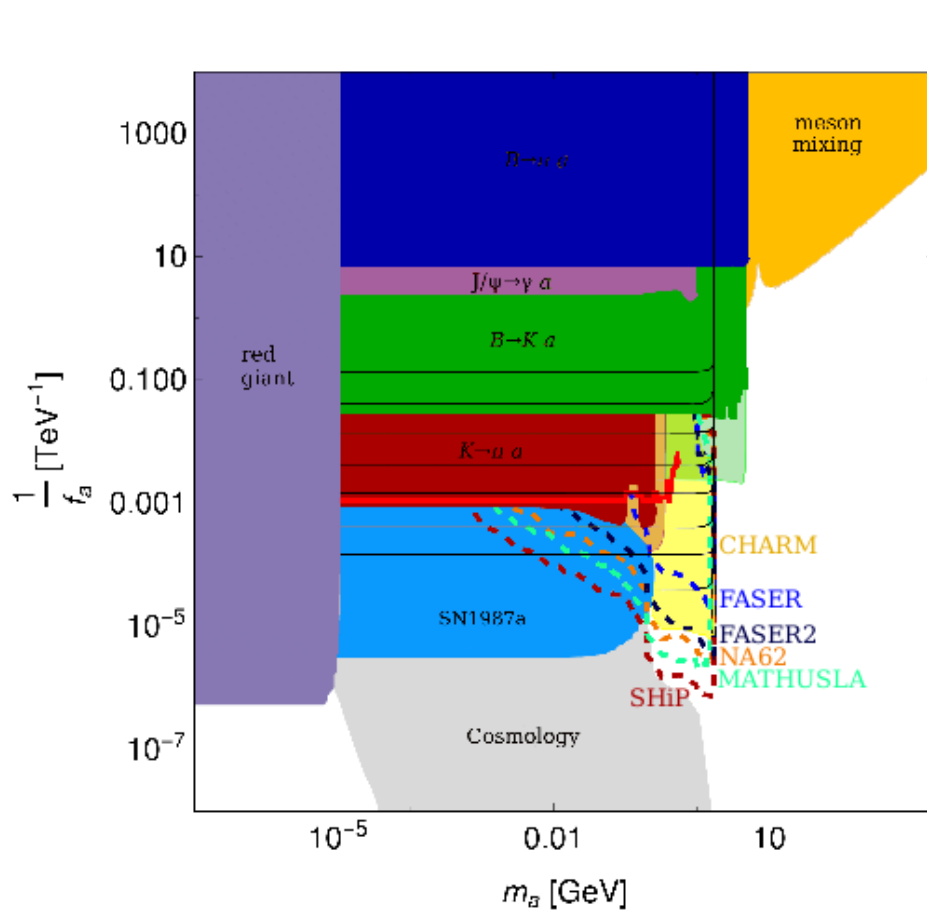
fraction of all signal events with  $N$  dark pions

momentum (not pT) distribution of dark pions





# up-sector prospects



general ACP  $a = \pi f_0^8$

$$\rightarrow \omega_a = \omega_{\pi D} \rightarrow \frac{1}{f_a} = \frac{f_{\pi D}}{m_X^2}$$