

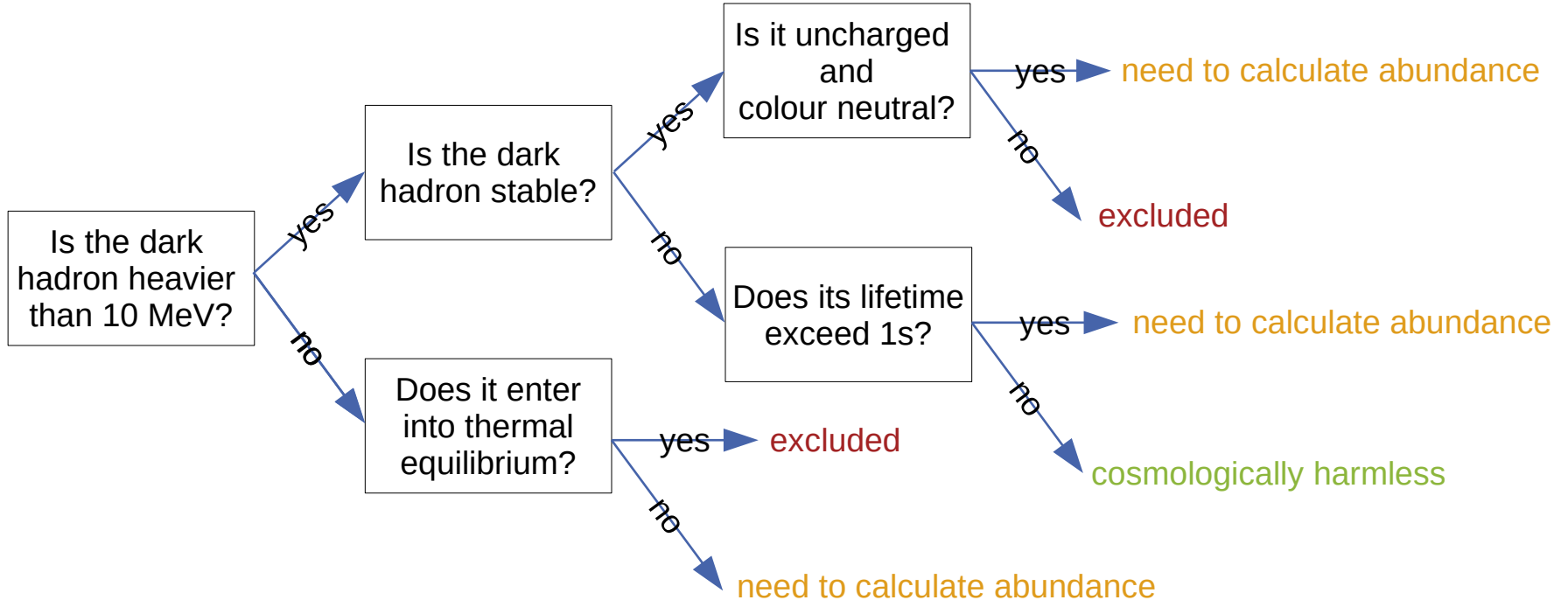
Cosmology of strongly interacting dark matter

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Dark showers SNOWMASS project meeting, 12 May 2022

Many ideas, equations and plots taken from PhD thesis of Elias Bernreuther

Decision tree for dark sector hadrons

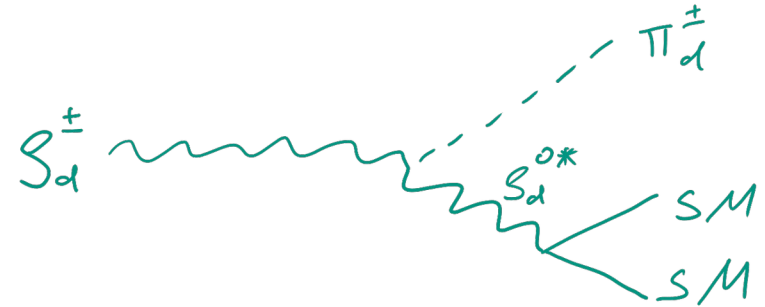


Lifetimes $\gg 1$ second?

- Dark hadrons can be very long-lived if their decays are phase-space suppressed and require an off-shell mediator

Example: dark rho mesons

- If the decay $\rho_d \rightarrow 2 \pi_d$ is kinematically forbidden, but $\rho_d^0 \rightarrow 2 \text{ SM}$ is allowed, expect $\rho_d^\pm \rightarrow \pi_d^\pm + 2 \text{ SM}$



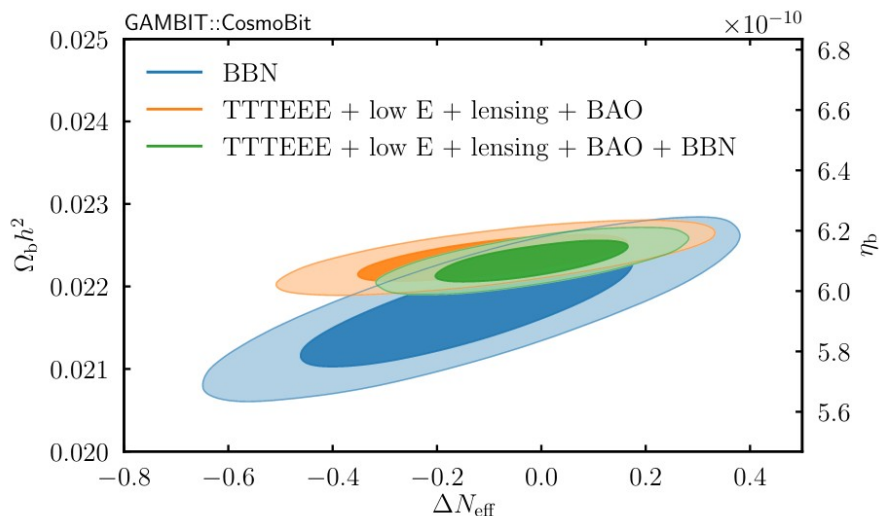
- Many different cosmological constraints depending on dark hadron lifetime

$\sim 10^8$ s:	Photodisintegration of light elements
$\sim 10^{12}$ s:	CMB spectral distortions
$\sim 10^{14}$ s:	CMB anisotropies
$\sim 10^{16}$ s:	21-cm absorption spectra

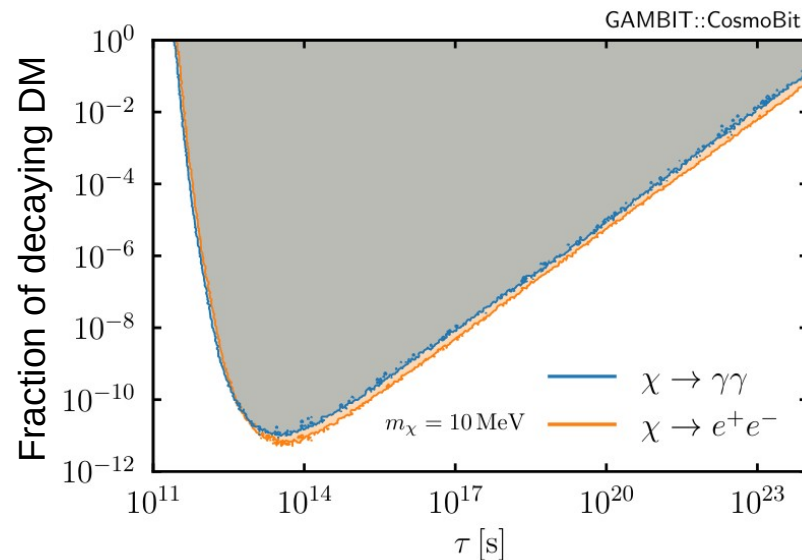
Why is the abundance so important?

■ For relativistic dark mesons:

■ Need to satisfy bound on ΔN_{eff}



Renk, FK et al., arXiv:2009.03286

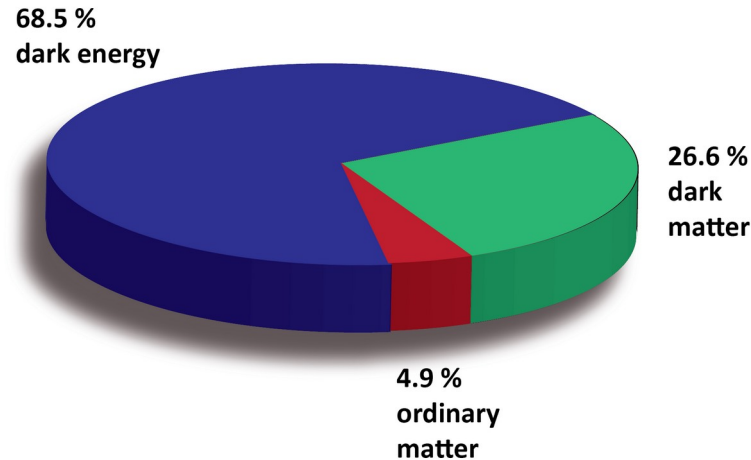


■ For decaying dark mesons:

■ Need to satisfy bounds on decaying DM

Why is the abundance so important?

- For heavy & stable dark mesons:
 - Need to ensure abundance does not exceed observed DM abundance
 - Identify parameter combinations the reproduce observed DM abundance



Equilibrium abundances

■ Two assumptions:

- 1. Dark sector hadrons in equilibrium with each other → define dark sector temperature T_d
- 2. Dark sector tightly coupled to Standard Model → $T_d = T_{\text{SM}}$

■ Boltzmann suppression of non-relativistic dark hadrons

- Heavier dark hadrons are more strongly suppressed

$$\left(\frac{n_\rho^{\text{eq}}}{n_\pi^{\text{eq}}}\right)^2 \sim \exp(-2\Delta x)$$

$$x = m_\pi/T \text{ and } \Delta = (m_\rho - m_\pi)/m_\pi$$

Departure from equilibrium

- Two assumptions:

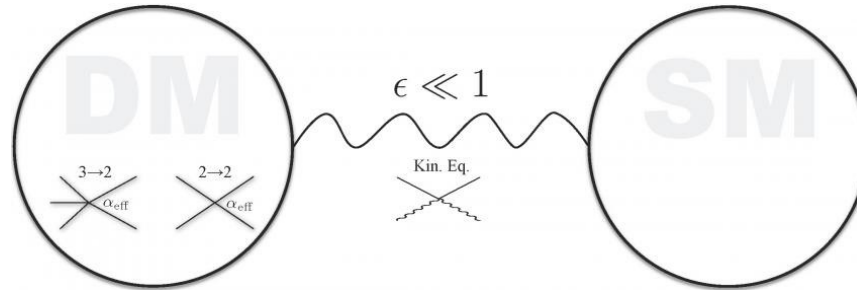
- 1. Dark sector hadrons in equilibrium with each other → define dark sector temperature T_d
- 2. Dark sector tightly coupled to Standard Model → $T_d = T_{SM}$

- Assumption 2 is almost always satisfied (see arXiv:1602.04219 for exceptions)

- Assumption 1 breaks down, when the interaction rate drops below the Hubble rate

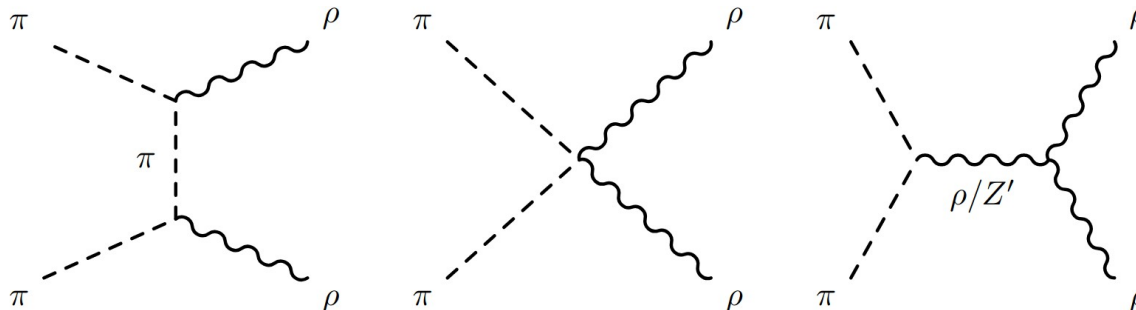
Examples

- **SIMP mechanism:** Dark pion abundance determined by freeze-out of $3\pi \rightarrow 2\pi$ processes



Hochberg et al., arXiv:1402.5143

- **Forbidden annihilations:** Dark pion abundance determined by freeze-out of $2\pi \rightarrow 2\rho$

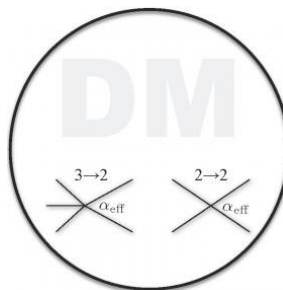


Bernreuther, FK et al.,
arXiv:1907.04346

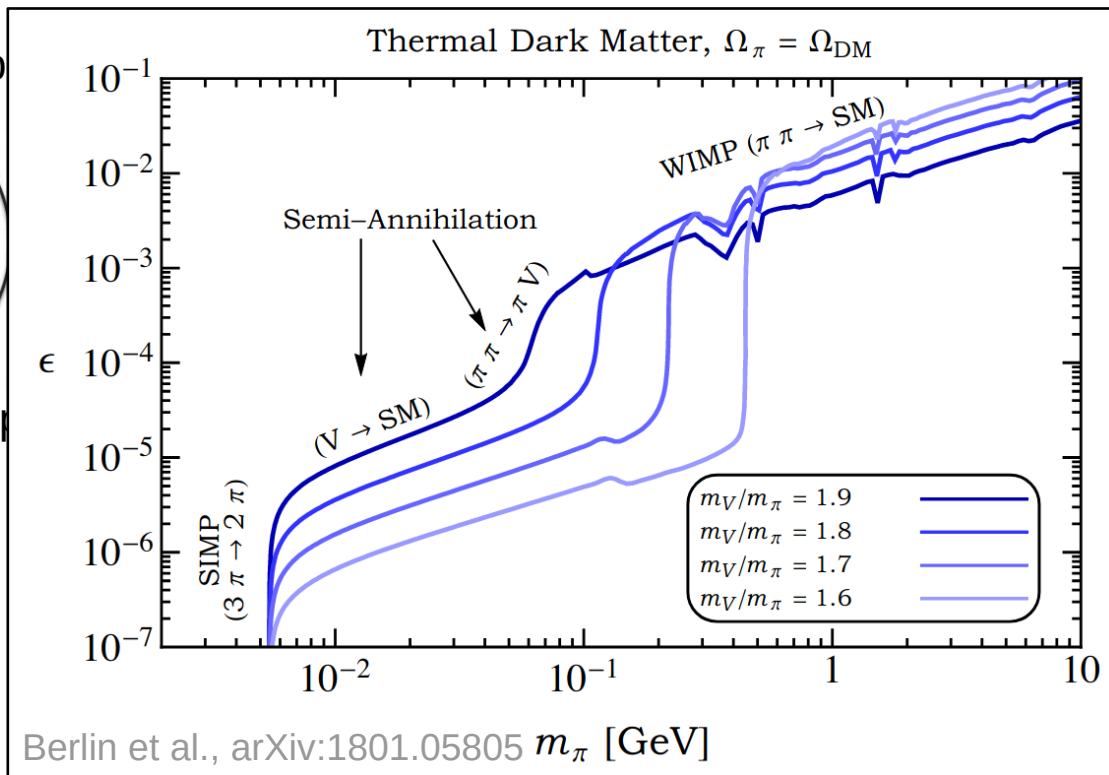
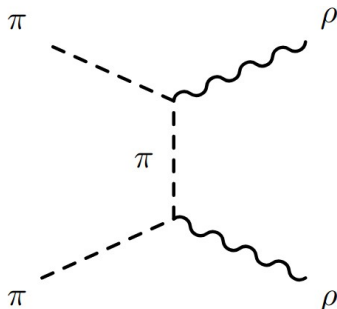
Examples

Different processes dominate in different regions of parameter space

SIMP mechanism: Dark pion ab



Forbidden annihilations: Dark



Results

- Requirement of equilibrium between dark and visible sector places lower bound on portal coupling

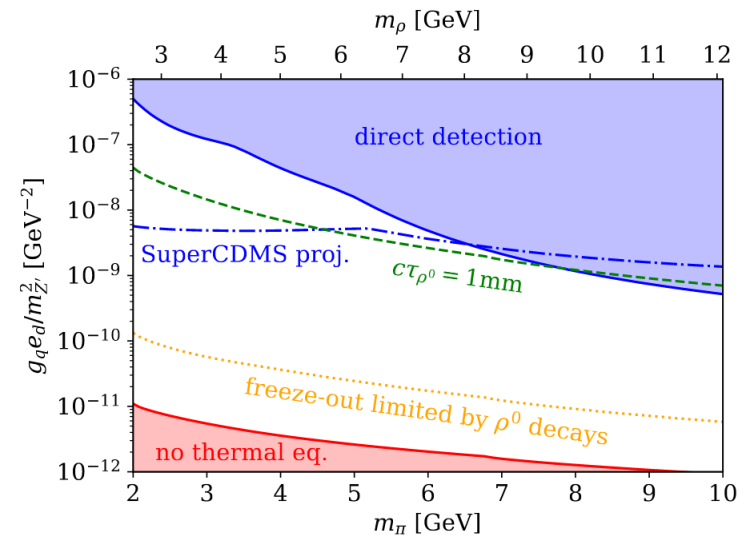
 - Bound typically quite weak → no implications

- Within dark sector, expect couplings of order unity

- Abundance requirement primarily constrains mass spectrum

 - **SIMP mechanism:** relic density requirement constrains m_π

 - **Forbidden annihilations:** relic density requirement constrains m_π/m_ρ



Bernreuther, FK et al.,
arXiv:1907.04346

Stabilising symmetries

- Typically expect very similar masses for π^0_d and π^\pm_d
 - Abundances also expected to be similar
- Many models: π^\pm_d stable, π^0_d unstable
 - Need to ensure that π^0_d decay sufficiently quickly
- Alternative: Ensure π^0_d stability
 - **Example:** G parity
 - Requires even number of quark flavours with degenerate mass

Summary

- Dark hadrons harmless only if they decay in 1st second of universe
- Otherwise: Need to know their abundance
- Unstable and relativistic dark hadrons must be strongly suppressed
- Stable & neutral dark hadrons may account for observed DM density

- *Cosmological requirements impose conditions on model building and restrictions on parameter space*