Monte Carlo simulation of the muon flux in DEAP-3600

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Placed at SNOLAB 2 km underground (~ 6 km.w.e.) flat overburden Main goal: search for WIMP! Detector based on:

- Acrylic sphere filled with ${\sim}3.3$ Ton of Liquid Ar (LAr)
- tank filled with ${\sim}300$ Ton of pure water for muon rej.





DEAP collaboration. Design and construction of the DEAP-3600 dark matter detector. URL: https://doi.org/10.1016%2Fj.astropartphys.2018.09.006

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Consisting of 48 veto PMTs placed outside sphere structure to detect cherenkov radiation Rejection thanks to coincidence events in MV and LAr









- cosmic rays interaction with atmosphere produce μ

- μ can reach high depths

- μ can produce n or cosmogenic radioisotopes after interacting with rocks

 \Rightarrow backgrounds for WIMP search!

Until now only the SNO experiment has performed a measurement of muon flux at SNOLAB $h_{SNOLAB} = 6.011$ km.w.e.

 $\Phi^{SNO}_{\mu} = (3.31 \pm 0.01 \; stat \; \pm 0.09 \; syst) \cdot 10^{-10} \; \mu/{\rm s/cm}^2$



SNO collaboration . Measurement of the Cosmic Ray and Neutrino-Induced Muon Flux at the Sudbury Neutrino Observatory. URL: https://doi.org/10.1103%2Fphysrevd.80.012001







D.-M. Mei and A. Hime. 'Muon-induced background study for underground laboratories'. In: 658 Physical Review D 73.5 (Mar. 2006)



Flux and rate are related by:

...muon angular distribution is not flat!

$$\begin{split} R_{\mu} &= A_{eff} \cdot \Phi_{\mu} & I(\theta, h) = \\ \text{where } A_{eff} \neq A_{cylinder} \text{ as}... & \frac{1}{\cos(\theta)} \cdot \left(I_1 \cdot e^{-h/\lambda_1/\cos(\theta)} + I_2 \cdot e^{-h/\lambda_2/\cos(\theta)}\right) \end{split}$$

Aim of this work: evaluate expected rate in DEAP using:

$$\Phi^{SNO}_{\mu}=3.31\cdot 10^{-10}\mu/{
m s/cm}^2$$
 and A_{eff}

But how can we estimate A_{eff} ?

Monte Carlo approach: generate a muon

Coordinates: - center of MV bottom surf \Rightarrow (0,0,0) Muon starting point: - $z_0 = 40 \text{ m} \gg h_{MV} \sim 7.5 \text{ m}$ - $x_0 y_0$ chosen random in -0.5 L $\leq x, y \leq$ 0.5 L L $\gg r_{MV} \sim 3.9 \text{ m} \Rightarrow$ avoid systematics!

 $\begin{array}{l} {\rm Muon\ kinematics:}\\ {\rm -\ }\theta\ {\rm from\ Mei\ et\ Hime}\\ {\rm -\ cylindric\ symm\ }\Rightarrow 0\leq \phi < 2\pi\ {\rm with\ flat\ distr}\\ {\rm \downarrow\!\!\!\downarrow} \end{array}$

$$A_{eff} = L^2 \cdot \varepsilon$$
 where $\varepsilon = \frac{N_{enter}}{N_{gen}} \Rightarrow$ need to estimate it!







Three different cases!



hit on upper and lower surfaces











How can we understand if a
$$\mu$$
 is entering in
the MV?
$$\vec{r}(t) = \begin{cases} x(t) = x_0 + t \cdot sin(\theta)cos(\phi) \\ y(t) = y_0 + t \cdot sin(\theta)sin(\phi) \\ z(t) = z_0 - t \cdot cos(\theta) \\ \psi \end{cases}$$

 μ position parameterized as a function of t!

 μ are discriminated with $x^2(t) + y^2(t) = r_{DEAP}^2$ 1 $\frac{\Delta}{4} = r_{DEAP}^2 - (x_0 \cdot \sin(\phi) - y_0 \cdot \cos(\phi))^2$ 1 - if $\frac{\Delta}{4} < 0 \Rightarrow$ muon discarded - else \Rightarrow t_+ solutions of the equation $t_{\pm} = \frac{-(x_0 \cos(\phi) + y_0 \sin(\phi)) \pm \sqrt{\Delta/4}}{\sin(\theta)}$



The height is checked for both t_{\pm} : $0 \le z(t_{\pm}) \le h_{MV}$ if at least once this is satisfied \downarrow muon accepted!





Might happen that the μ crosses the upper and lower surfaces \downarrow this results in $z(t_{\pm})$ outside the limits! Counted checking: $z(t_h) = h_{MV} \Rightarrow t_h = \frac{z_0 - h_{MV}}{cos(\theta)}$

$$\text{if } x^2(t_h) + y^2(t_h) \leq r_{MV}^2$$

the μ is accepted since it is on the MV upper surface



Results





From 10^8 generated μ 1020 entered in the MV $_{\rm II}$

$$\varepsilon = \frac{N_{enter}}{N_{gen}} = (1.02 \pm 0.03) \cdot 10^{-5}$$

(error calculated with binomial approach $\sqrt{\frac{arepsilon\cdot(1-arepsilon)}{N_{gen}}}$)

$$A_{eff} = L^2 \cdot frac = (63.5 \pm 1.9) \text{ m}^2$$

$$\Downarrow$$

Using

$$\Phi_{\mu}^{SNO} = (3.31 \pm 0.01 \ stat \ \pm 0.09 \ syst) \cdot 10^{-10} \ \mu/\text{s/cm}^2$$

$$R_{DEAP} = (18.2 \pm 0.5 \ stat \ \pm 0.5 \ syst)\mu/\text{day}$$



- DEAP-3600 consists of LAr sphere surrounded by a water tank (Muon Veto)
- ullet Until now the SNO experiment performed the only measurement of ϕ_μ at SNOLAB
- DEAP-3600 is performing an independent measurement \Rightarrow which is the expected rate?
- $\bullet\,$ Used Mei et Hime effective model to describe μ angular distribution
- With a Monte Carlo approach A_{eff} has been evaluated $\Rightarrow (63.5 \pm 1.9) \ {\rm m}^2$
- Assuming SNO flux \Rightarrow $R_{DEAP} = (18.2 \pm 0.5 \; stat \; \pm 0.5 \; syst) \mu/{\rm day}$

Next steps:

- Try to parallelize the process in python
- Finalize the muon event selection with DEAP-3600 MV data

THANK YOU!



~95 researchers from 9 countries: Canada, Germany, Italy, Mexico, Poland, Russia, Spain, UK, USA

BACKUP SLIDES

The missing mass problem



Over the past ~ 100 years \Downarrow from several astrophysical and cosmological observations \Downarrow missing mass



Lorenzo Mirasola (Cagliari, Italy)





Weakly Interacting Massive Particle (WIMP) \Rightarrow one of the most promising models

 $\begin{array}{l} \mbox{Sun moving around center of Galaxy} \\ \Rightarrow \mbox{WIMP wind} \end{array}$

Direct detection: reveal energy left in interaction with ordinary matter



WIMP direct detection (2)



How can we reveal the deposited energy?



URL: https://indico.in2p3.fr/event/13380/contributions/14079/attachments/11726/14444/Theorie_LHC.pdf

DEAP collaboration. Pulse-shape discrimination against low-energy Ar-39 beta decays in liquid argon with 4.5 tonne-years of DEAP-3600 data. URL: Eur. PHys. J. C 81,823 (2021)

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I Ar characteristics

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