

# Machine learning based jet and event identification at the Electron-Ion Collider

with applications to hadron structure and spin physics

*arXiv 2210.06450*

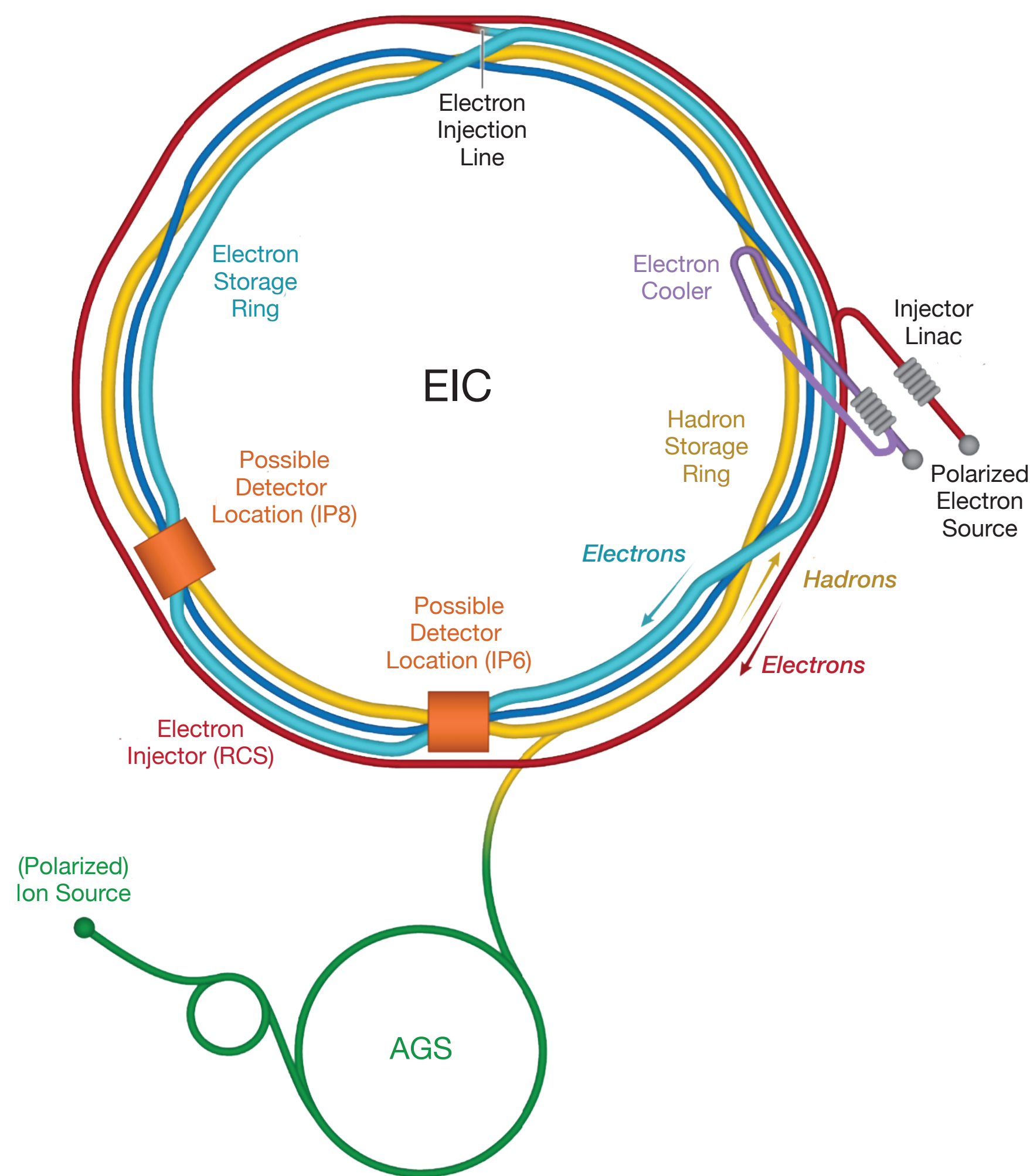
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James Mulligan  
UC Berkeley / LBNL

ML4Jets Workshop  
Rutgers University  
Nov 3, 2022

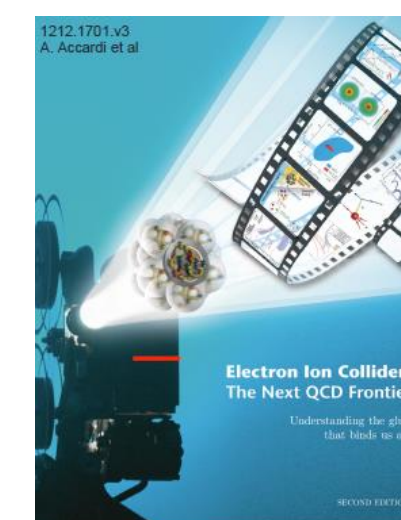


# The Electron-Ion Collider

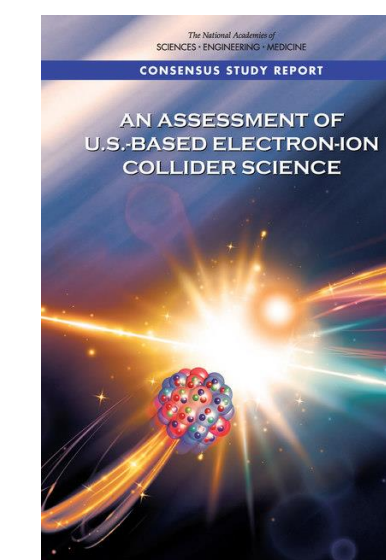


## Precision QCD with $ep$ and $eA$ collisions in the 2030s

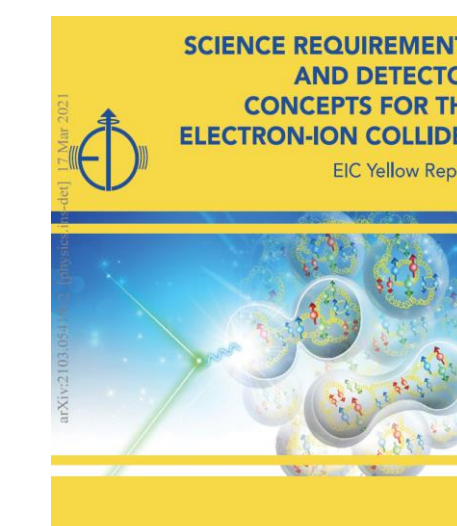
- Polarized electron and proton beams
- Variable ion species: Au, Pb, U
- Variable CM energy: 20 – 140 GeV
- High luminosity:  $10^{33} - 10^{34} \text{ cm}^{-2}\text{s}^{-1}$



White paper



NAS report

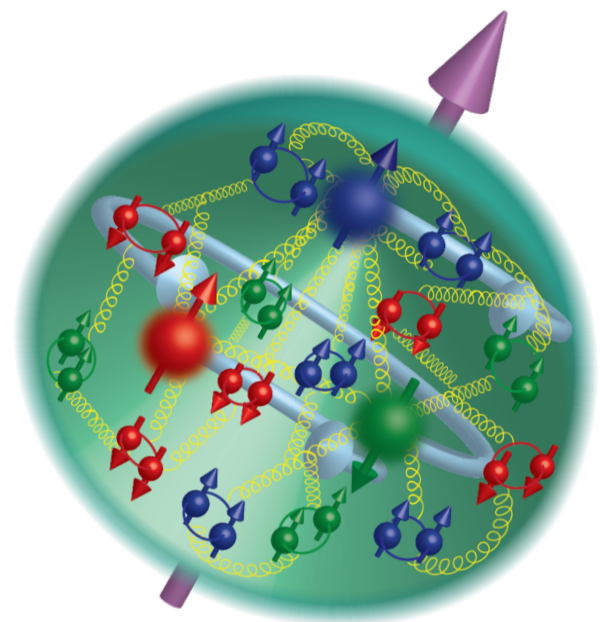


Yellow report

# The EIC Science Program

## Imaging the proton

How are quarks and gluons distributed in the proton?



Position and momentum space

$$W(x, \vec{b}_T, \vec{k}_T)$$

$$f(x, \vec{b}_T)$$

$$f(x, \vec{k}_T)$$

Generalized parton distributions (GPDs)

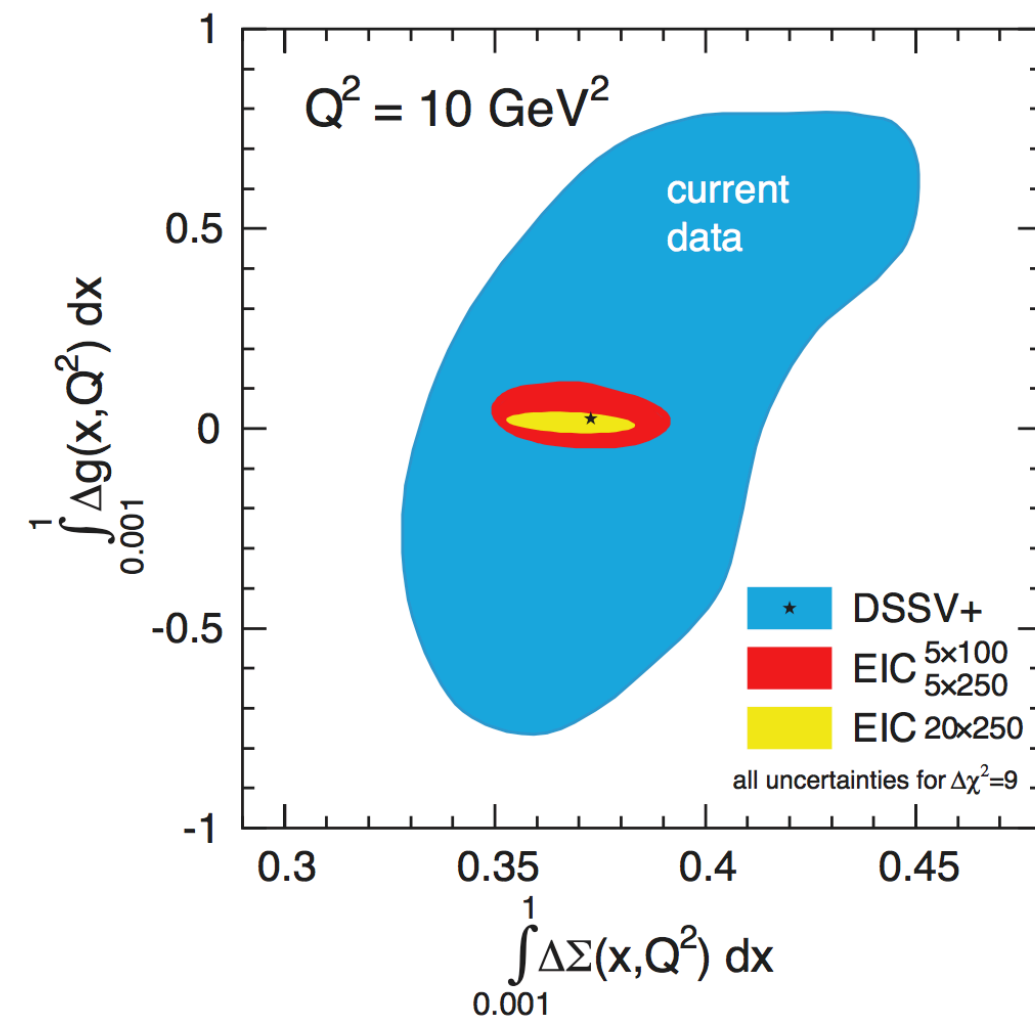
Transverse momentum dependent (TMDs)

## Proton spin puzzle

Where does the proton spin arise from?

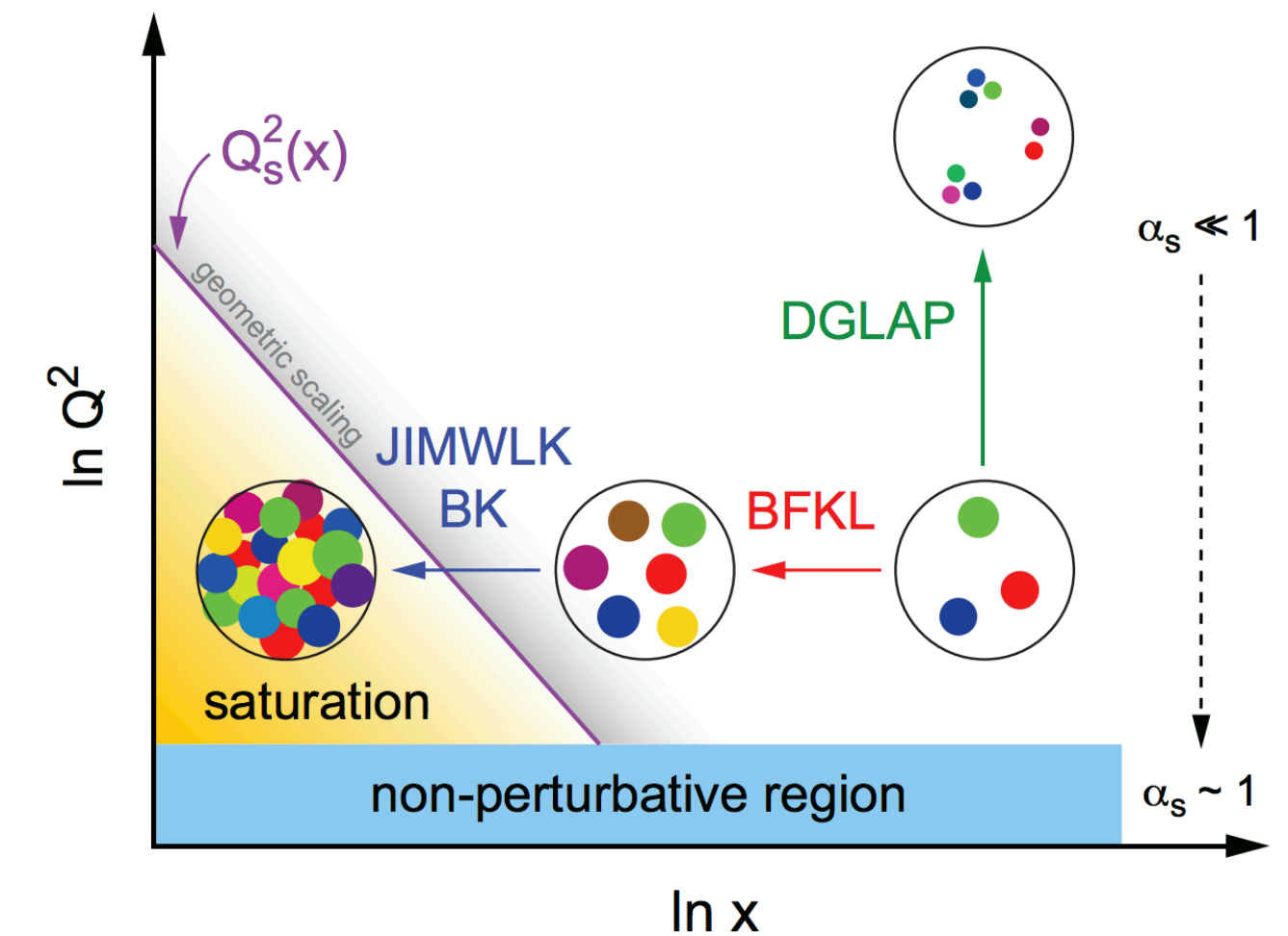
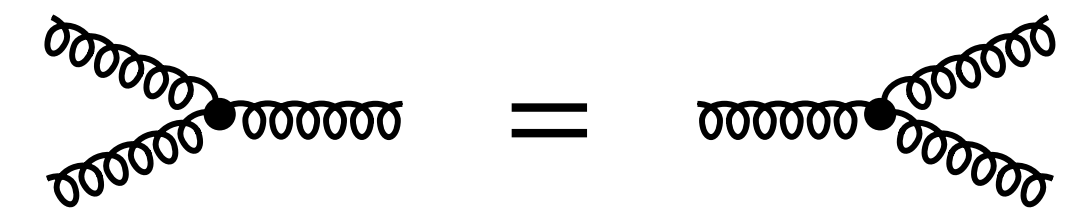
$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + L_q + L_g$$

↑ helicity
↑ orbital angular momentum



## Gluon saturation

Can we observe saturation of the gluon density in the nucleus?





# This talk

1. Is machine learning based jet classification useful for the science program of the EIC?

2. How will machine learning based jet taggers perform at the relatively low EIC energies?



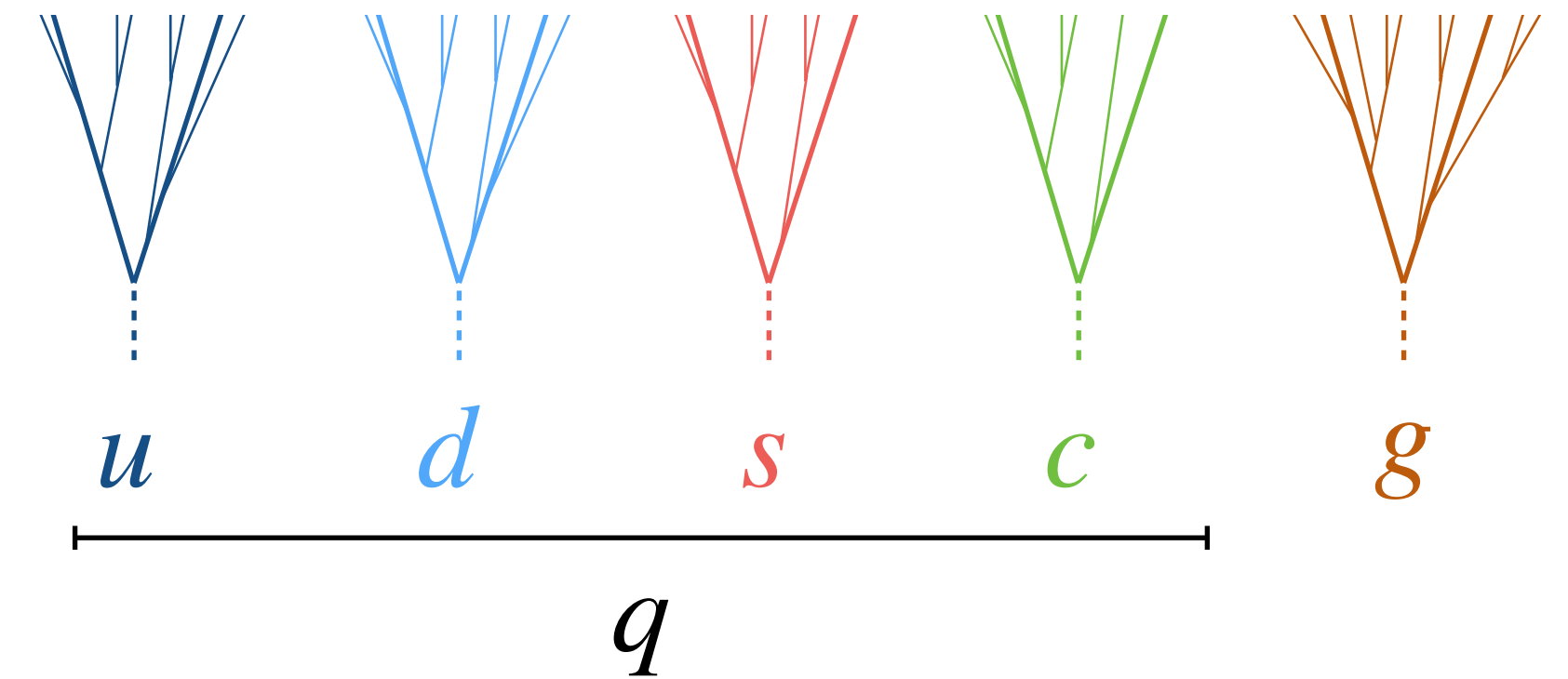
# This talk

1. Is machine learning based jet classification useful for the science program of the EIC?

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# Constraining TMDs with jet flavor tagging

Determining the flavor of a jet allows stronger constraints on TMDs by avoiding spin asymmetry cancellations of different flavors



## Example: Sivers function (TMD PDF)

Burkhardt sum rule: 
$$\sum_{a=q,\bar{q},g} \int_0^1 dx f_{1T}^{\perp(1)a}(x) = 0$$

If valence quarks dominate, then  $u, d$  Sivers functions have large cancellation

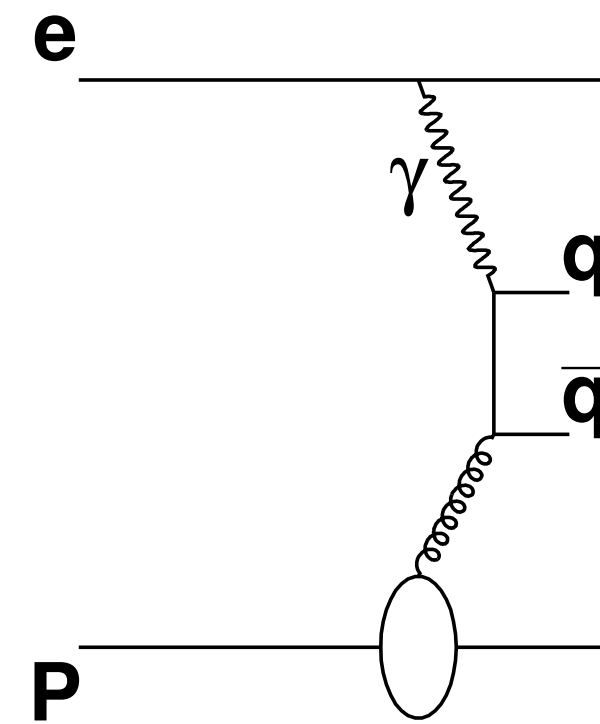
→ Tagging  $u, d$  jets separately will allow stronger constraints on Sivers function

- Recent proposal: use jet charge → Kang, Liu, Mantry, Shao PRL 125 242003 (2020)
- Using ML can further boost separation → STAR, R. Fatemi EINN 2019

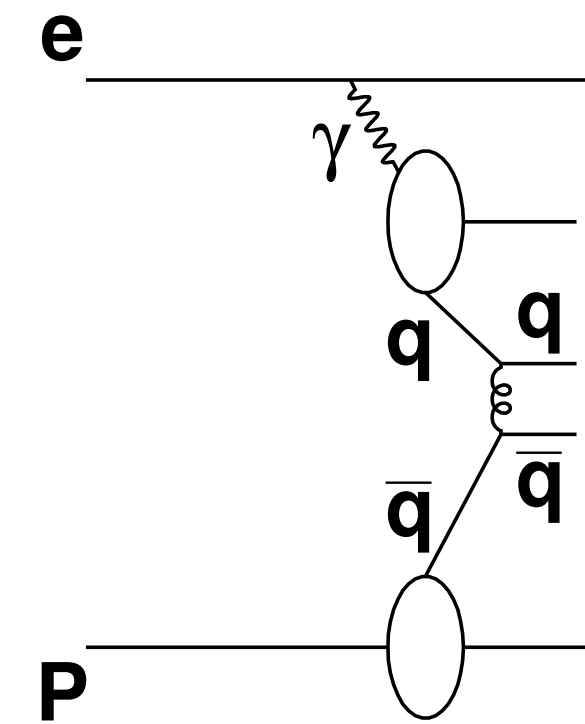
# Constraining photon PDF with event tagging

In photoproduction, the resolved processes probe the parton-in-photon PDF

**direct**



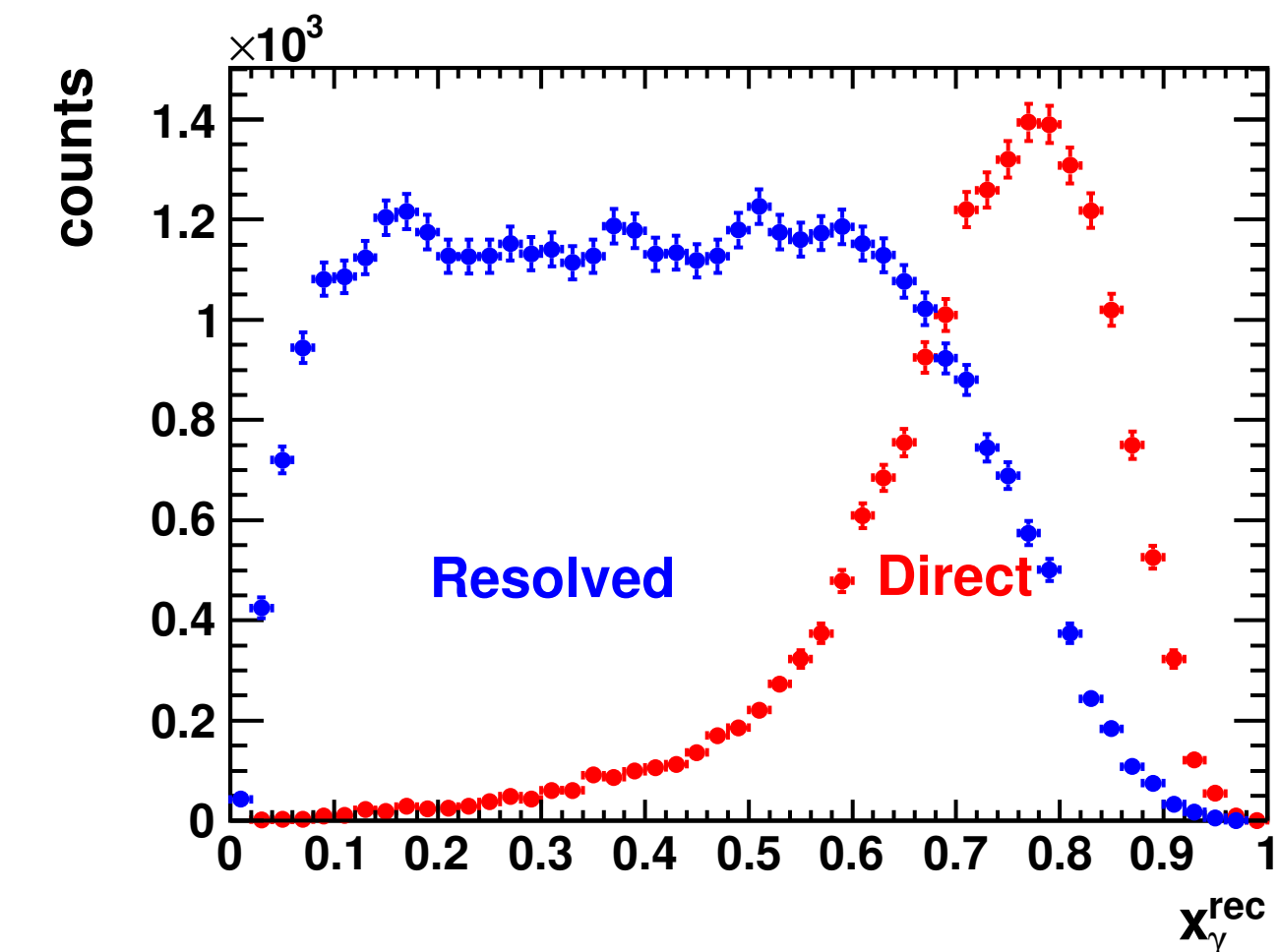
**resolved**



Chu, Aschenauer, Lee, Zheng PRD 96 7, 074035 (2017)

By classifying direct vs. resolved photoproduction processes with ML, can enhance constraints on the photon PDF relative to traditional observables

e.g. 
$$x_\gamma = \frac{1}{2E_e y} (p_{T,1} e^{-\eta_1} + p_{T,2} e^{-\eta_2})$$





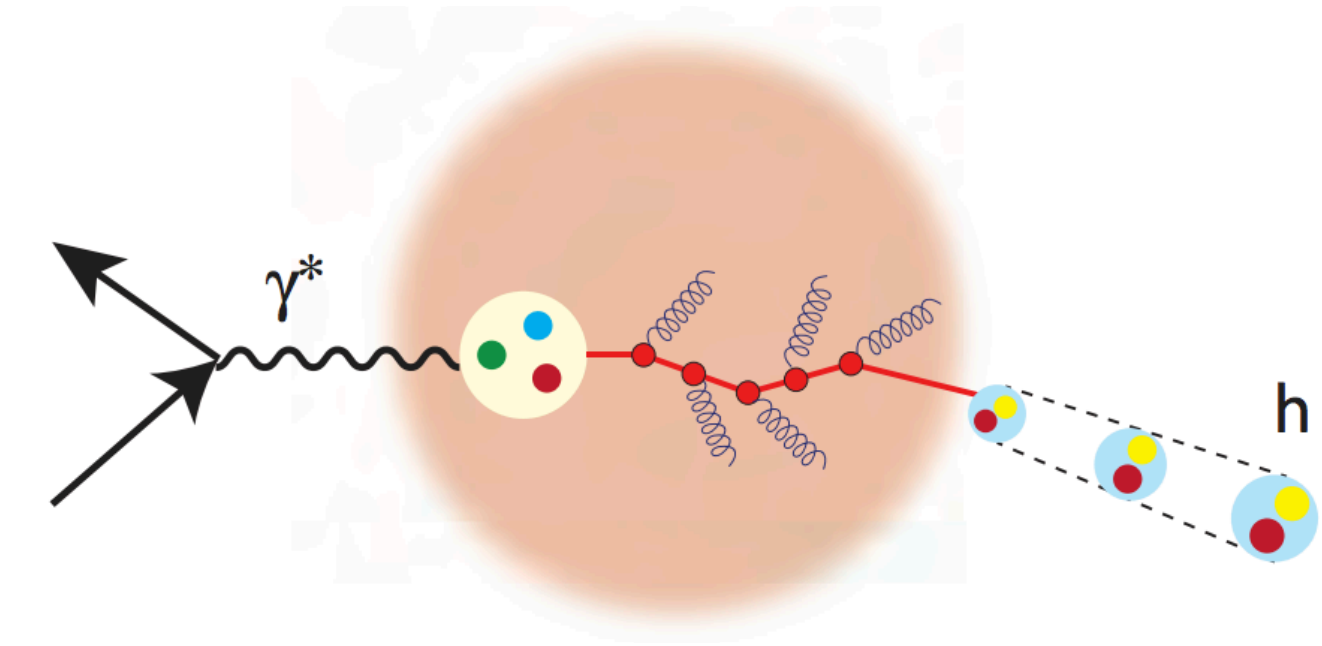
# Maximizing cold nuclear matter effects

Lai, Mulligan, Płoskoń, Ringer JHEP 10 (2022) 011

Goal: extract transport properties of nuclear matter e.g.  $\hat{q}$

Ru, Kang, Wang, Xing, Zhang, PRD 103, L031901 (2021)

Li, Liu, Vitev, PLB 816, 136261 (2021)

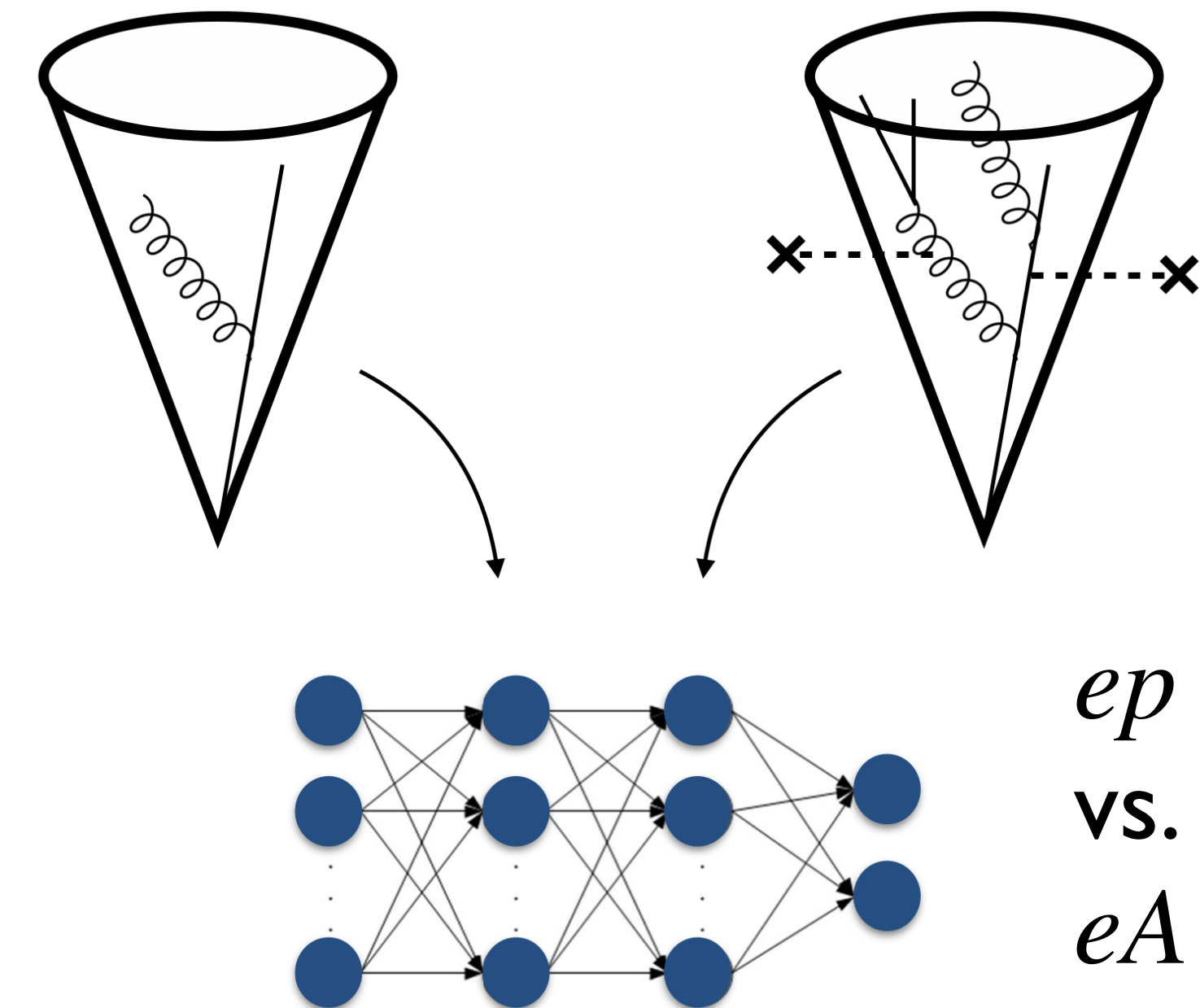
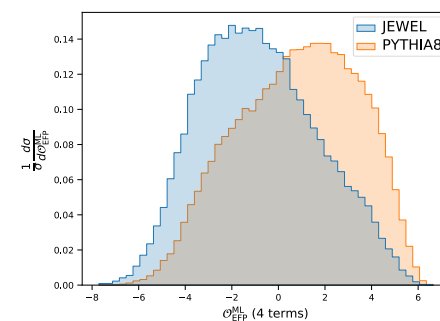


## Train ML classifier to distinguish $ep$ vs. $eA$ jets

Can use *interpretable* ML:

- Gain insight about type of information responsible for differences: IRC-safe vs. IRC-unsafe, hard vs. soft
- Design maximally discriminating observables that are calculable in pQCD

$$\max_{\theta} \left| \frac{d\sigma_{eA}}{d\sigma_{ep}}(\theta) - 1 \right|$$



Can be applied directly on experimental data

# Maximizing spin asymmetries

Goal: Measure non-zero TSSAs associated with jets:

$$A_{UT} = \frac{d\sigma^{\uparrow} - d\sigma^{\downarrow}}{d\sigma^{\uparrow} + d\sigma^{\downarrow}}$$

STAR PRL 99, 142003 (2007)  
STAR arXiv 2205.11800

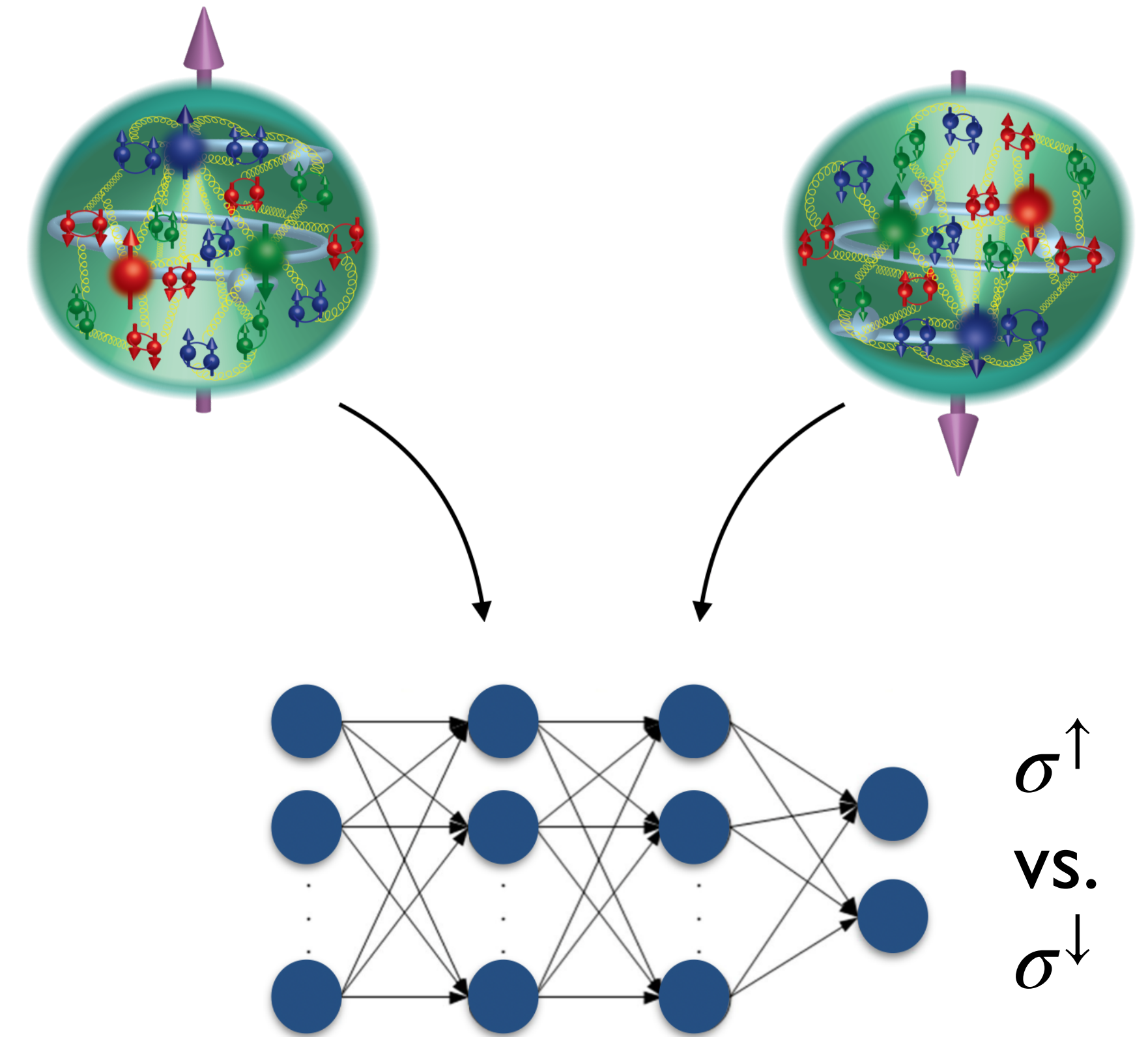
**Train ML classifier to distinguish  $\uparrow$  vs.  $\downarrow$  jets**

Can use *interpretable* ML to design maximally discriminating observables that are calculable in pQCD

$$\max_{\theta} |A_{UT}(\theta)| \longrightarrow \begin{array}{c} |A_{UT}| \\ \dots\dots\dots \\ |p_{T1} + p_{T2}| \end{array}$$

**Can be applied directly on experimental data**

**Can be applied at RHIC now!**



# This talk

1. Is machine learning based jet classification useful for the science program of the EIC?

2. How will machine learning based jet taggers perform at the relatively low EIC energies?



# Setup

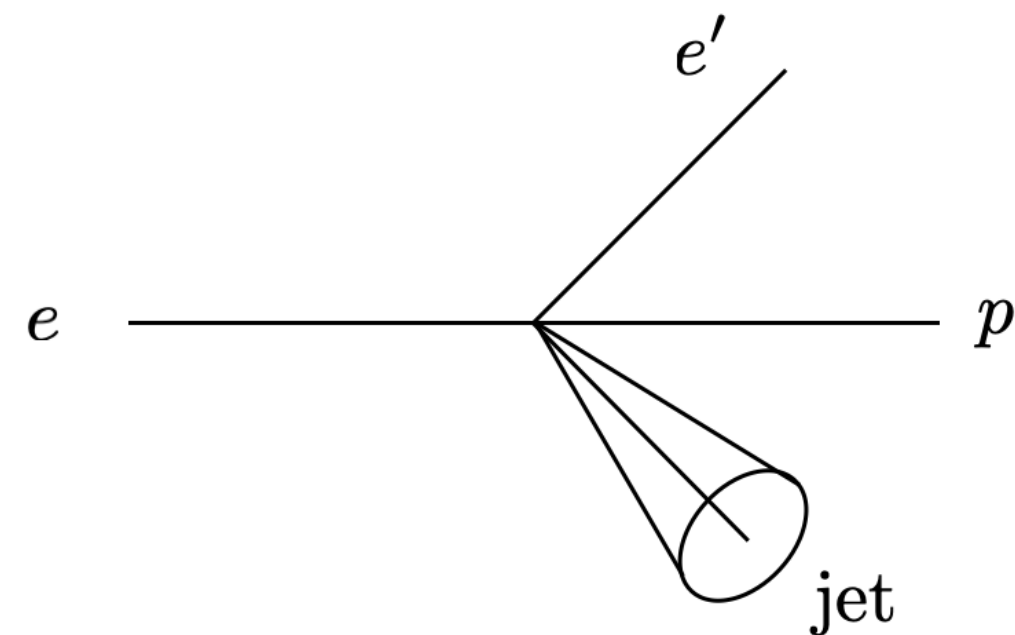
## Event generation

### PYTHIA6

- No detector simulation
- Vary minimum particle  $p_T$ , PID info

For u/d/s/c tagging:  
LO DIS

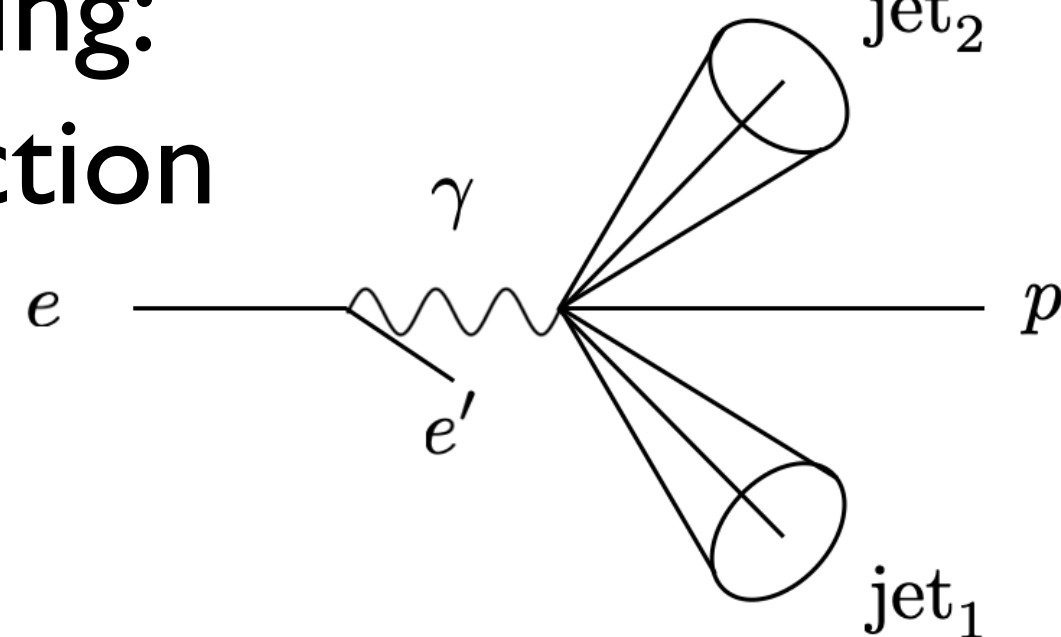
$$p_{T,\text{jet}} > 10 \text{ GeV}$$



For quark/gluon tagging:  
low- $Q^2$  photoproduction

$$p_{T,\text{jet1}} > 8 \text{ GeV}$$

$$p_{T,\text{jet2}} > 5 \text{ GeV}$$



## Machine learning model

Binary classification:  $u$  vs.  $d$ ,  $ud$  vs.  $s$ , ...

Architecture: Particle Flow Networks

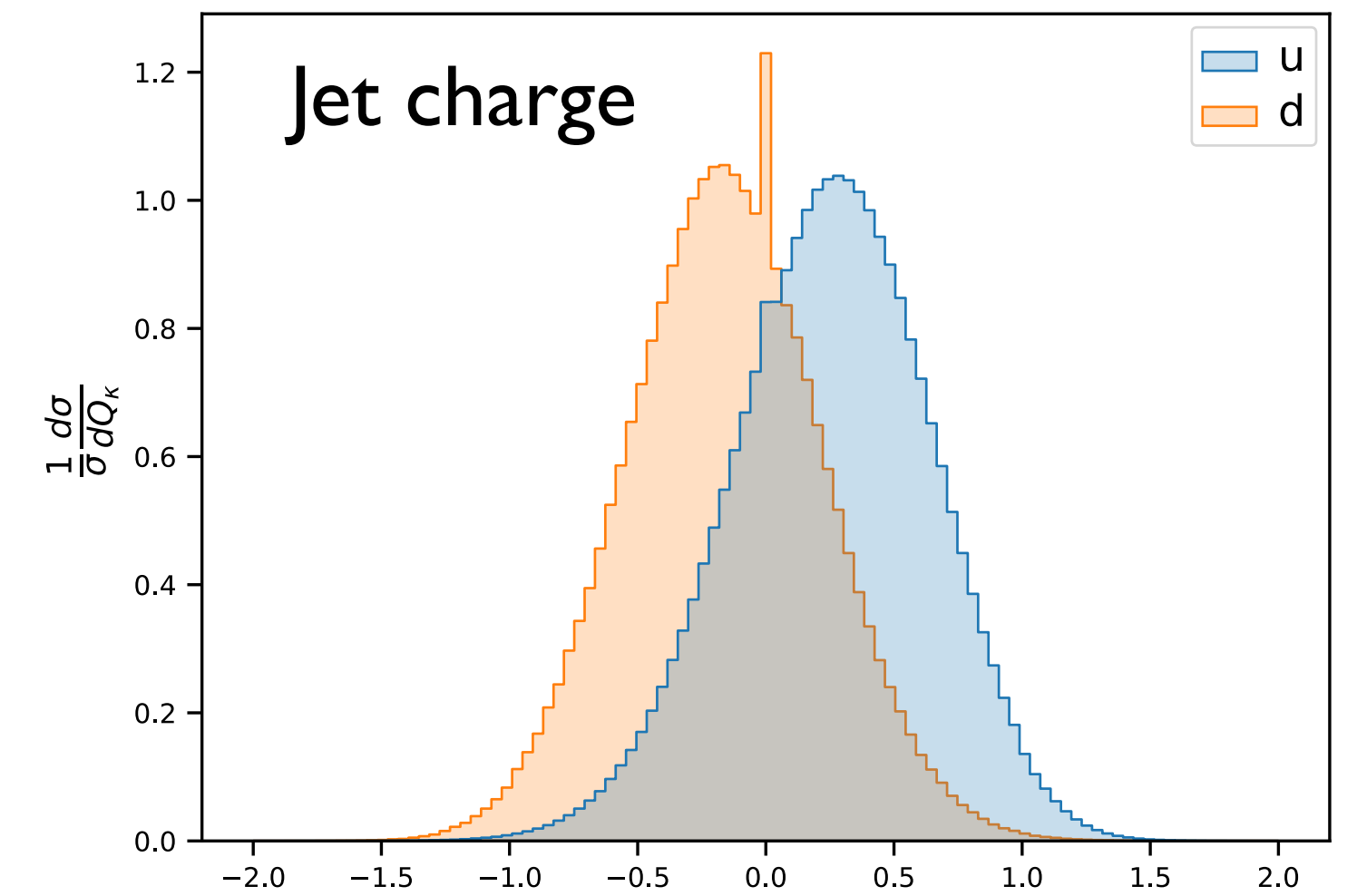
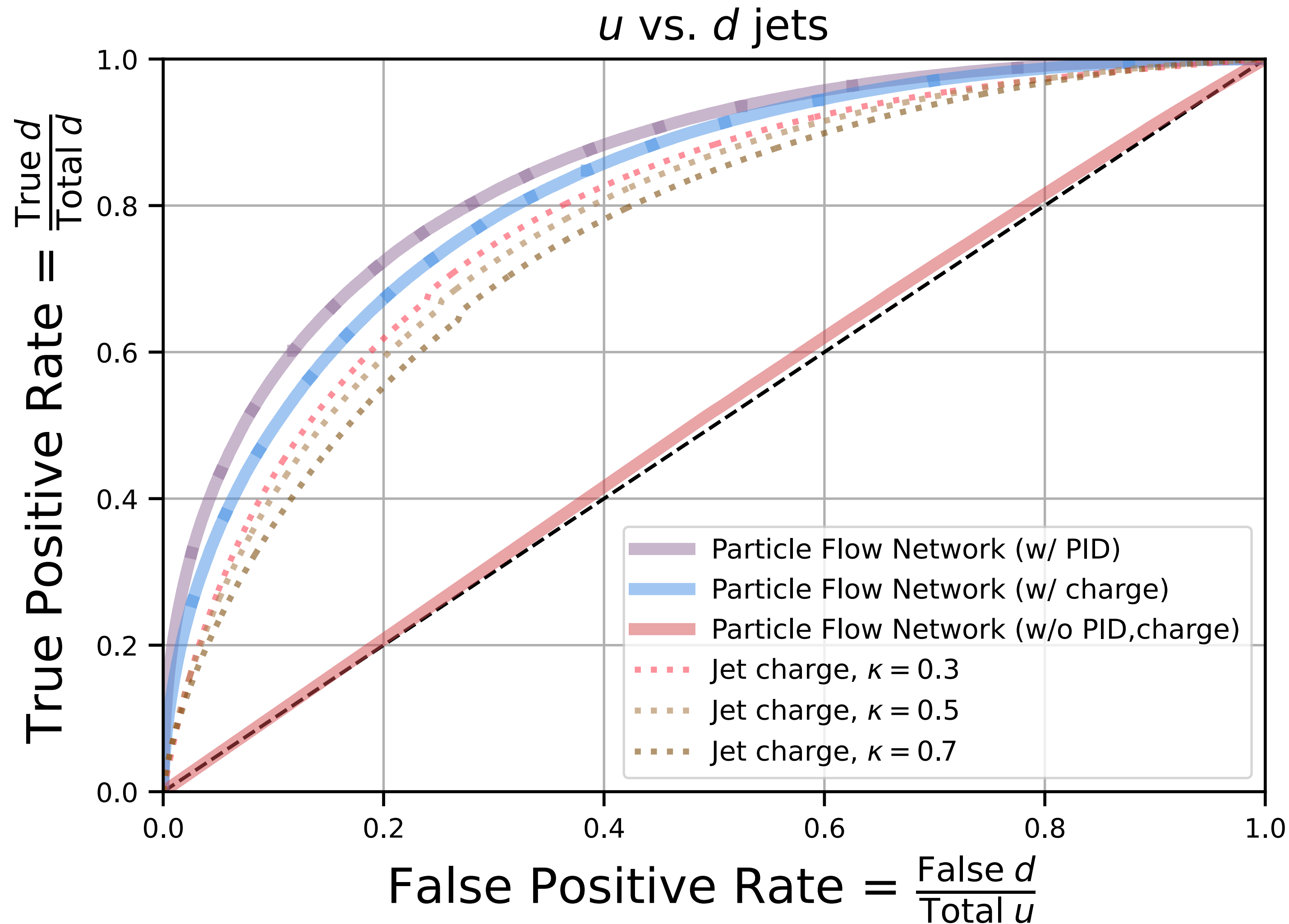
$$f(p_1, \dots, p_M) = F \left( \sum_{i=1}^M \Phi(p_i) \right)$$

Classifier

DNNs

Komiske, Metodiev, Thaler JHEP 01 (2019) 121

# Jet flavor tagging: $u$ vs. $d$

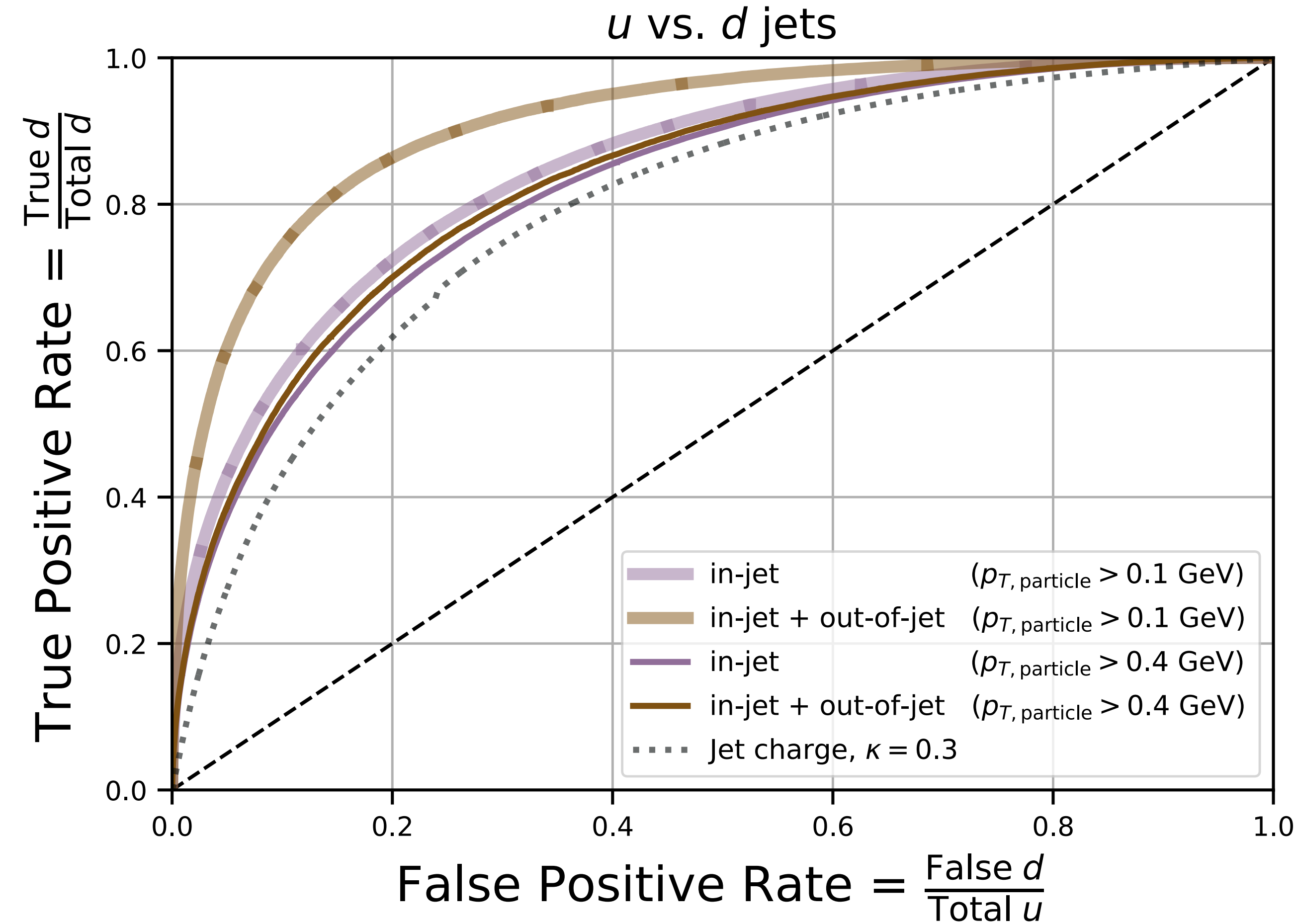
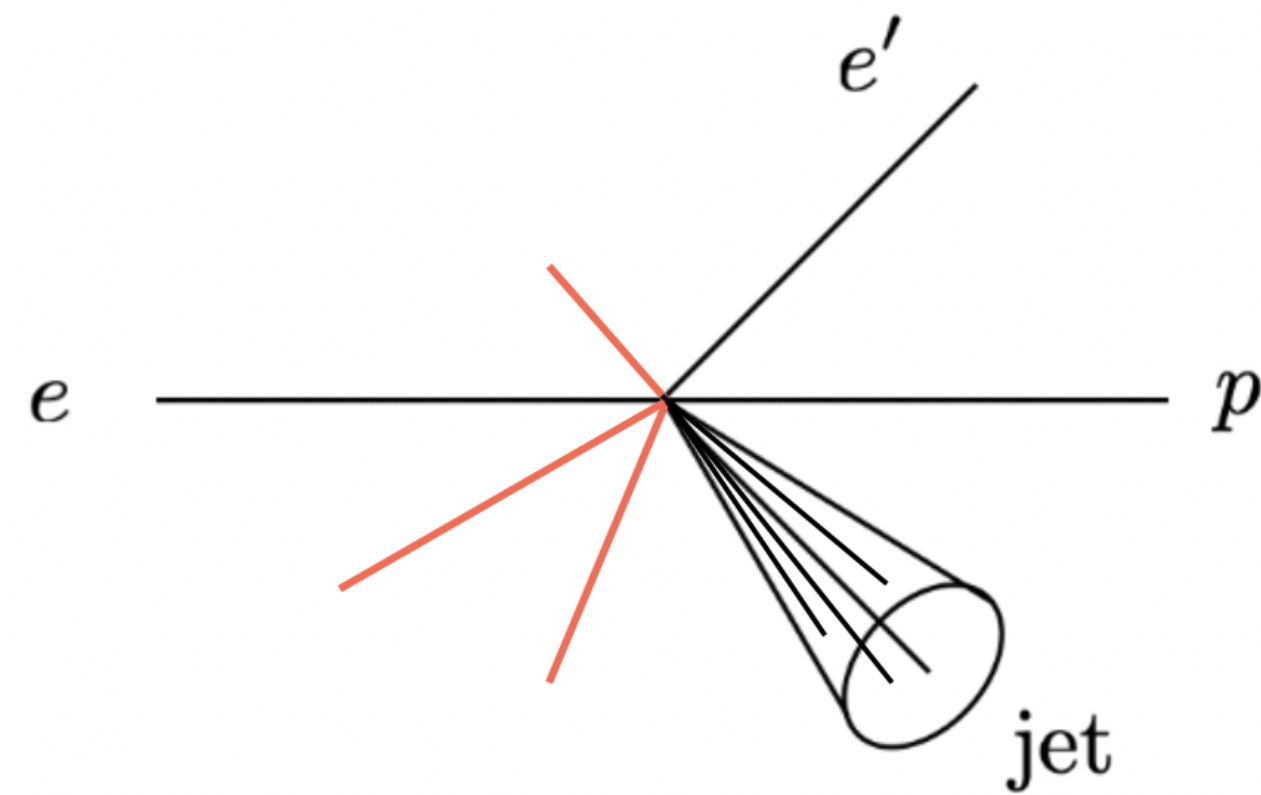


$$Q_\kappa = \sum_{i \in \text{jet}} z_i^\kappa Q_i$$

- ML outperforms jet charge
- Charge information is crucial
- Full PID does not gain much

# Out-of-jet information

Does including out-of-jet information boost the jet flavor tagging performance?



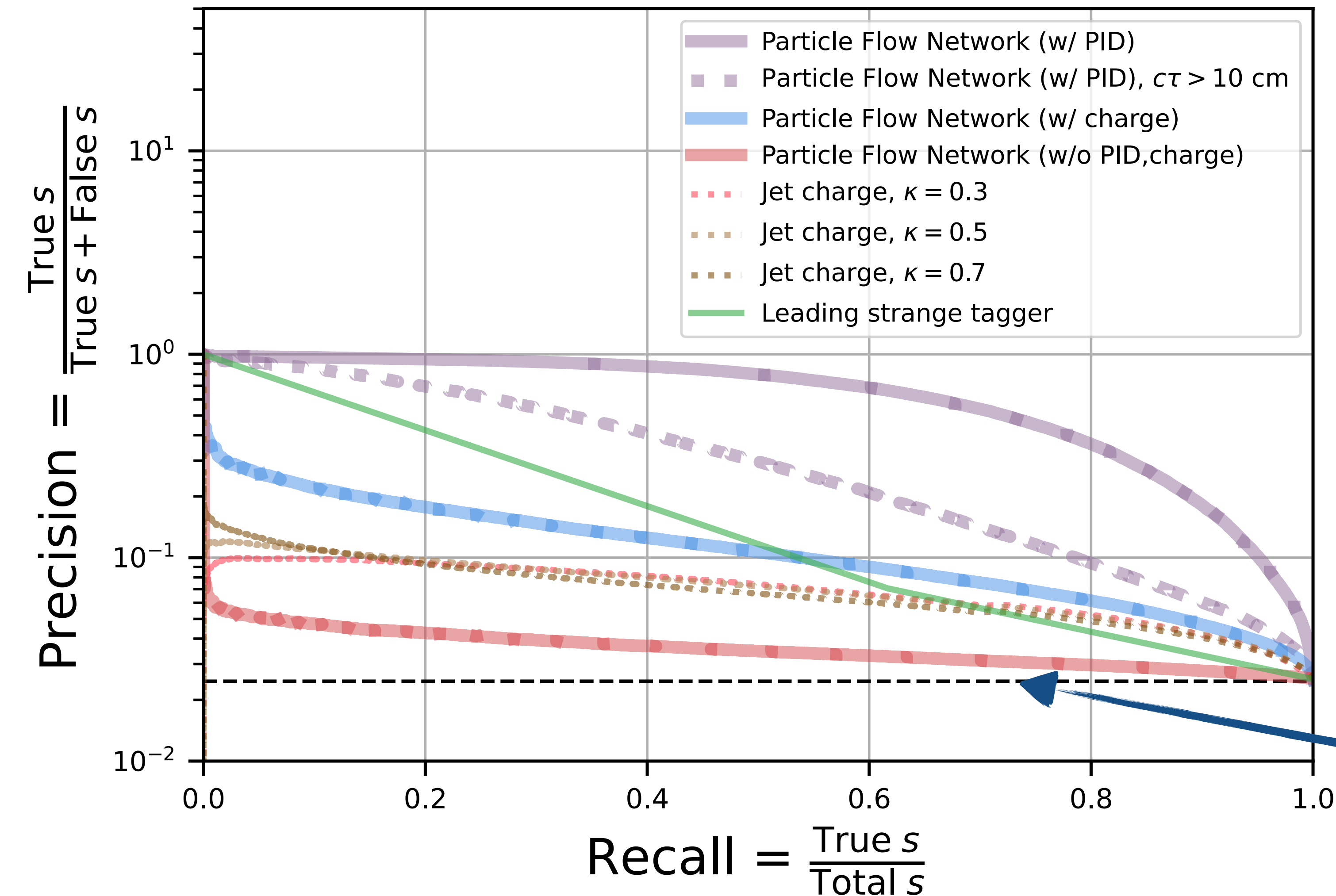
Significant gain from out-of-jet information

- Due to soft particles  $0.1 < p_T < 0.4 \text{ GeV}$



# Jet flavor tagging: $ud$ vs. $s$

$u, d$  vs.  $s$  jets



For strange: ML dramatically outperforms jet charge

□ PID gives huge boost

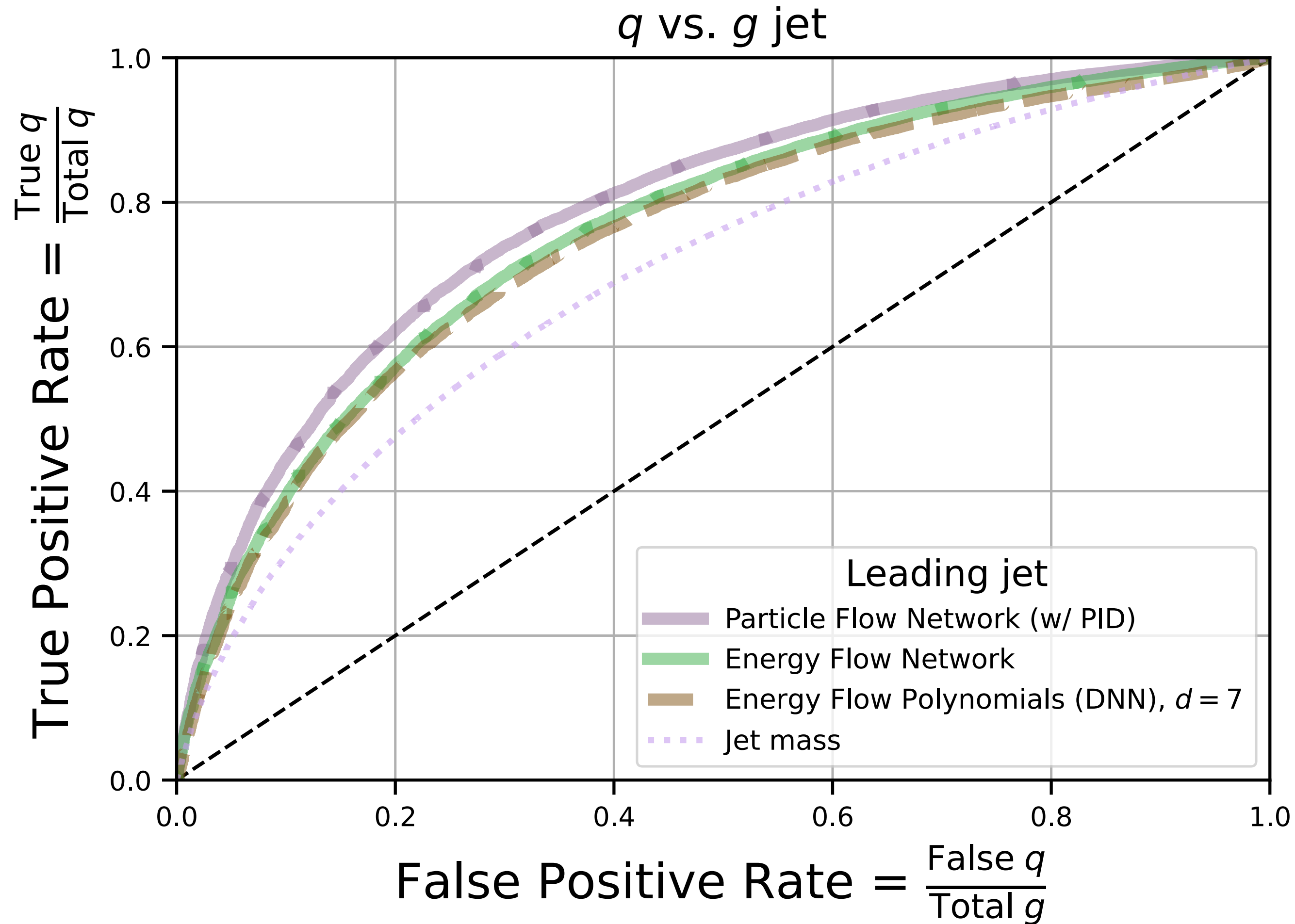
We use precision-recall metric since there are  $\sim 40x$  more  $ud$  than  $s$

□ Precision  $\leftrightarrow$  Purity

□ Recall  $\leftrightarrow$  Efficiency

Random classifier

# Quark vs. gluon jet tagging



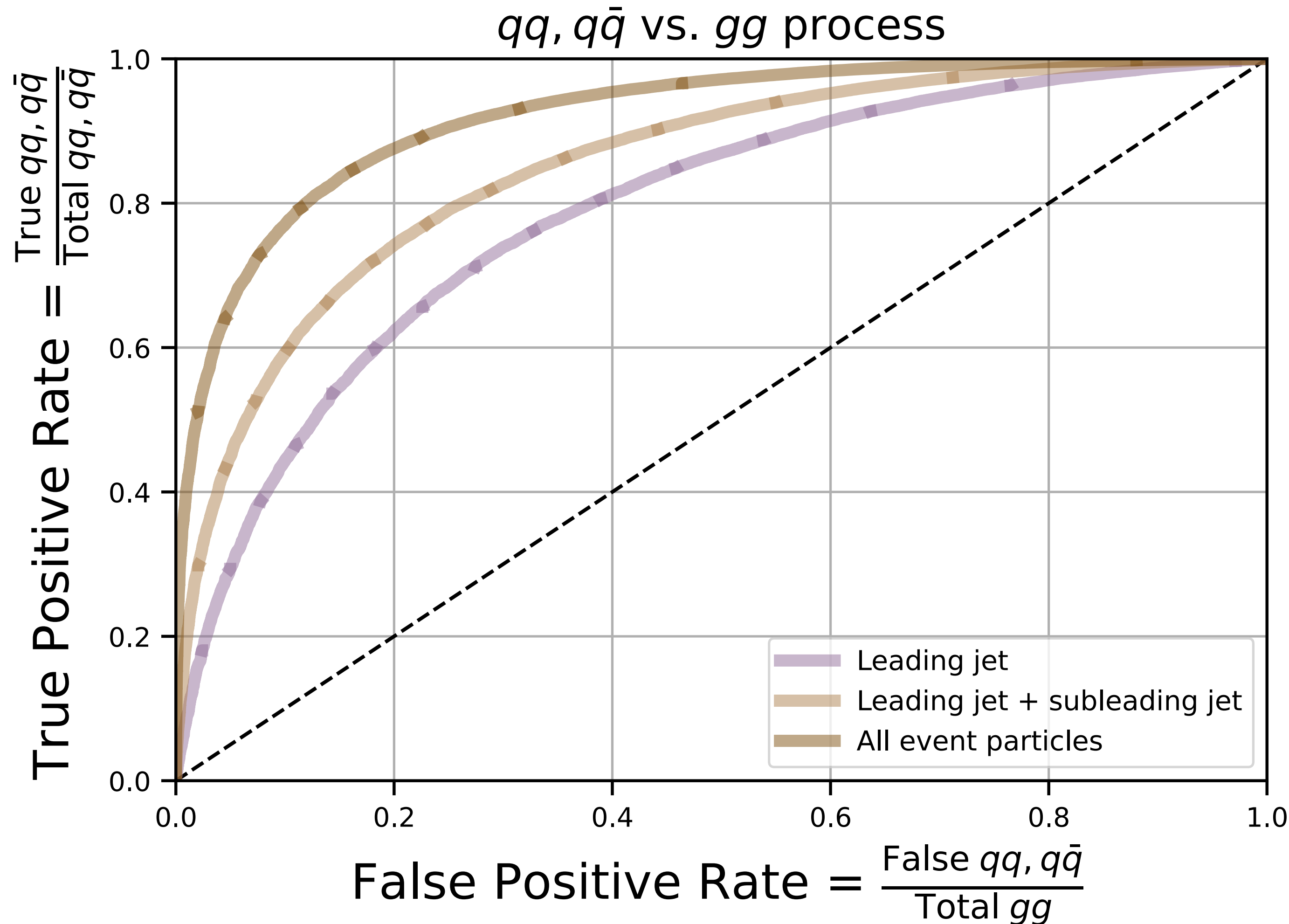
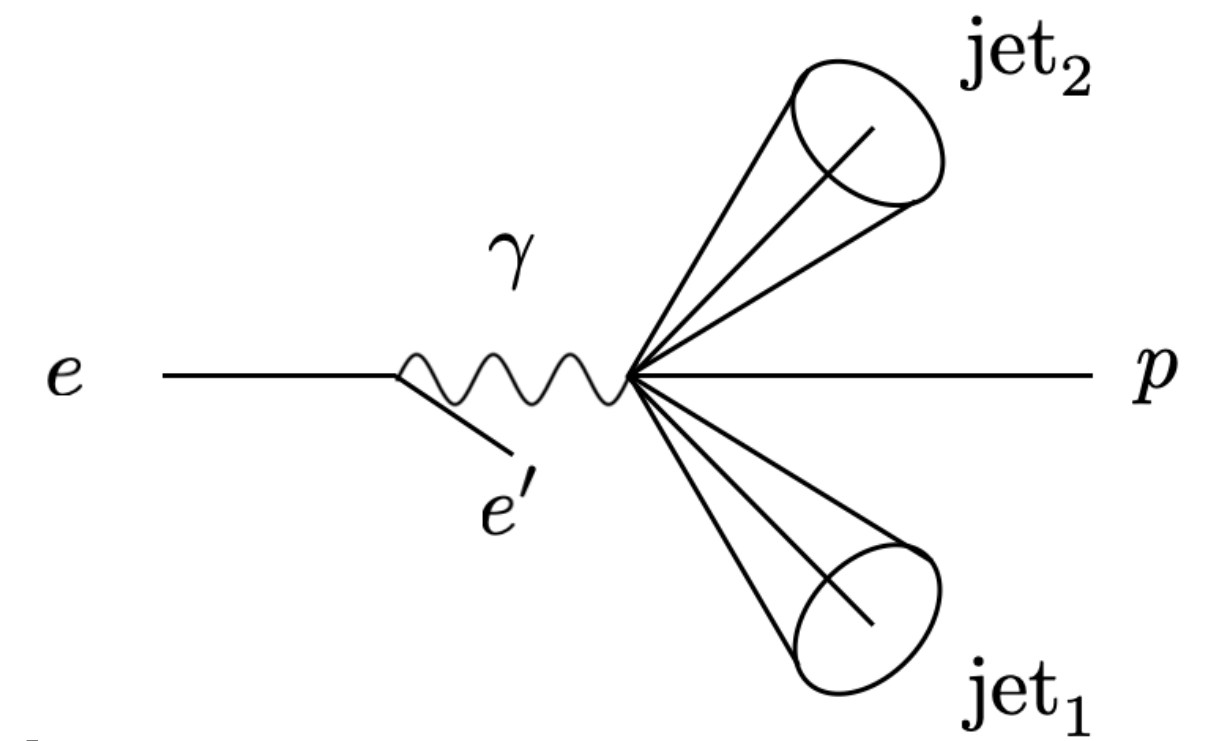
ML performance not as good as at LHC, but still reasonably good

AUC	EIC	LHC
Particle Flow Network	0.79	0.91
Energy Flow Network	0.76	0.88
Energy Flow Polynomials	0.75	0.89

*Komiske, Metodiev, Thaler, JHEP 01 (2019) 121*

*Komiske, Metodiev, Thaler, JHEP 04, 013 (2018)*

# Hard process tagging



We classify hard processes generating *qq/q $\bar{q}$*  vs. *gg* di-jets:

$$qq \rightarrow qq, q\bar{q} \rightarrow q\bar{q}, gg \rightarrow q\bar{q}, \gamma_T^* g \rightarrow q\bar{q}, \gamma_L^* g \rightarrow q\bar{q}$$

vs.

$$q\bar{q} \rightarrow gg, gg \rightarrow gg,$$

→ Can use this method to tag resolved photoproduction contributions

Significant improvement when adding subleading jet and out-of-jet particles



# Summary

## Machine learning can improve access to hadron structure and spin physics at the EIC

- ❑ Improve jet flavor tagging performance: constrain TMDs, photon PDF, ...
- ❑ Maximize the size of spin asymmetries or cold nuclear matter effects — train directly on data

## PYTHIA6 indicates that classification performance remains reasonably good at EIC

- ❑ Large performance boost from ML for strange and charm tagging when PID is included
- ❑ Large performance boost by including soft, out-of-jet particles

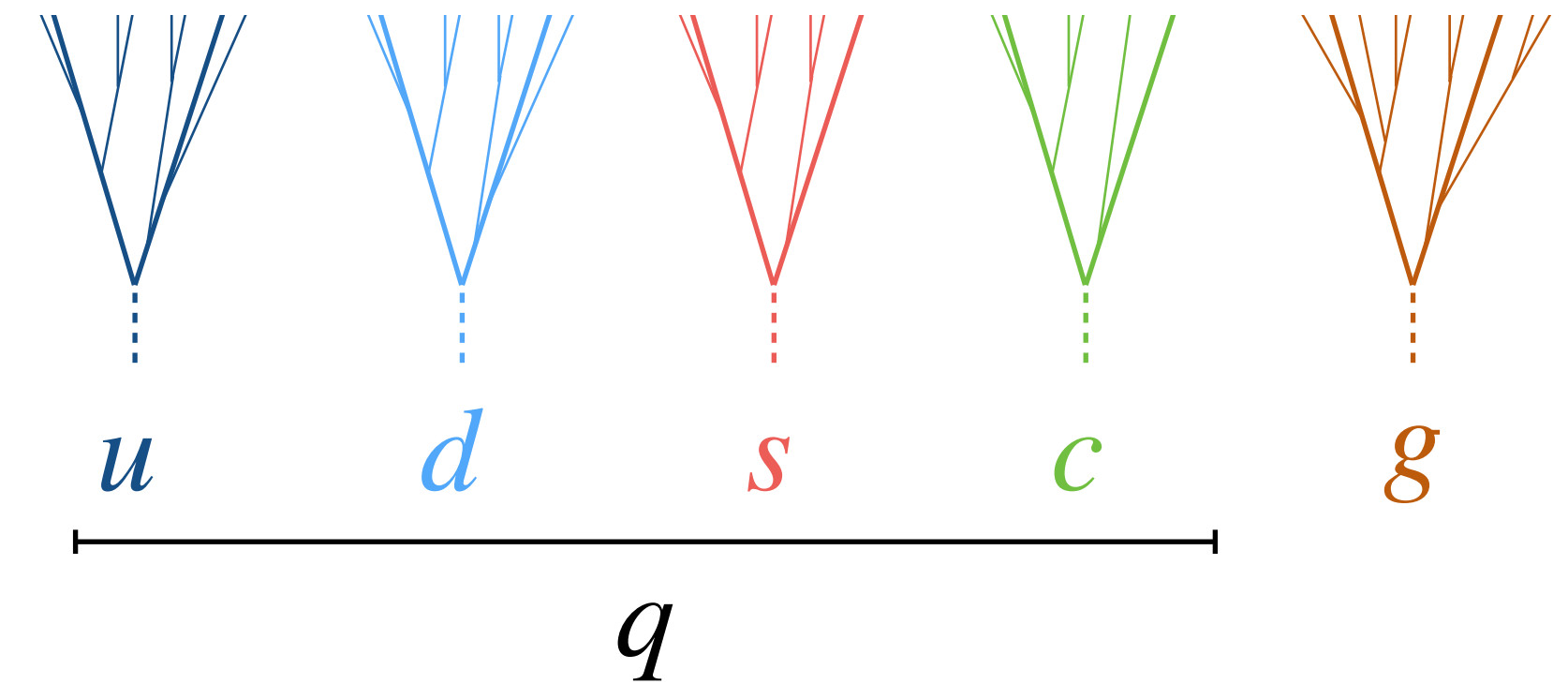
## Outlook: Study model-dependence and connect ML results to theory

- ❑ Design analytically tractable observables and/or incorporate classifiers into global fits
- ❑ Explore ML architectures — data set to be made public soon

**backup**

# Constraining TMDs with jet flavor tagging

Determining the flavor of a jet allows stronger constraints on TMDs by avoiding spin asymmetry cancellations of different flavors



## Example: Collins fragmentation function

Schäfer-Teryaev sum rule: 
$$\sum_h \int_0^1 dz H_{1,h/q}^{\perp(3)}(z) = 0$$

One usually measures identified hadrons to avoid e.g.  $\pi^+$  cancellation with  $\pi^-$

However the fragmentation functions still contain large parton flavor cancellations:

$$\int_0^1 dz \left( H_{1,\pi^+/u}^{\perp(3)}(z) + H_{1,\pi^+/d}^{\perp(3)}(z) \right) \approx 0$$

➔ Tagging jet flavor will allow stronger constraints on Collins fragmentation function

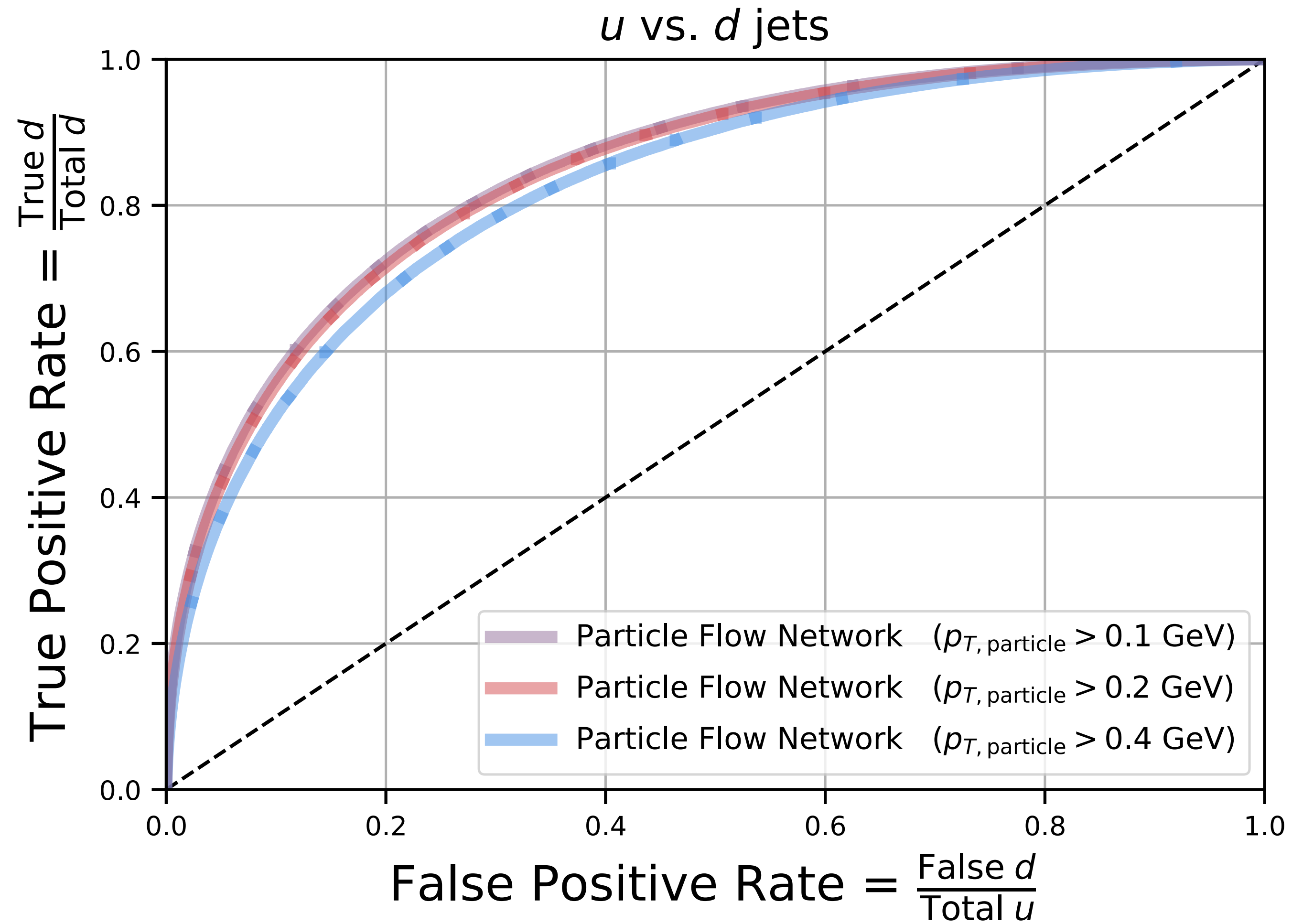
e.g. Arratia, Kang, Produkin, Ringer PRD 201 7, 074015 (2020)

# Additional applications of jet flavor tagging

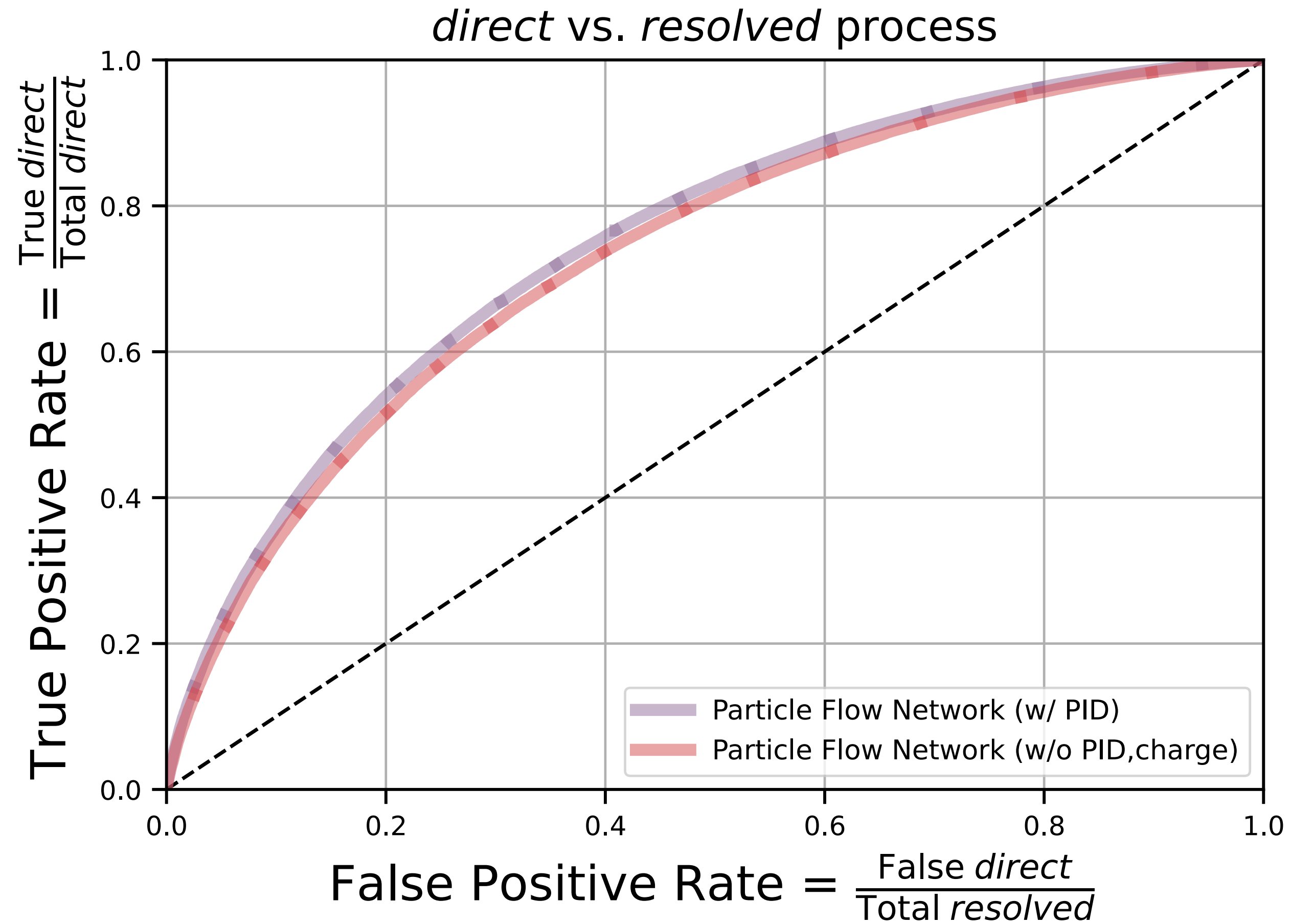
- Longitudinally polarized gluon distribution  $\Delta g$  — quark flavor and quark vs. gluon  
*Zhou, Sato, Melnitchouk (JAM), PRD 105, 074022 (2022)*
- Gluon Sivers function — quark vs. gluon  
*Zheng, Aschenauer, Lee, Xiao, Yin, PRD 98, 034011 (2018)*  
*Liu, Ringer, Vogelsang, Yuan, PRL 122, 192003 (2019)*
- Strange quark PDF — charm tagging  
*Arratia, Furltova, Hobbs, Olness, Sekula, PRD 103, 074023 (2021)*
- BSM searches — quark flavor  
*Li, Yan, Yuan, arXiv:2112.07747*



# Dependence on minimum particle $p_T$

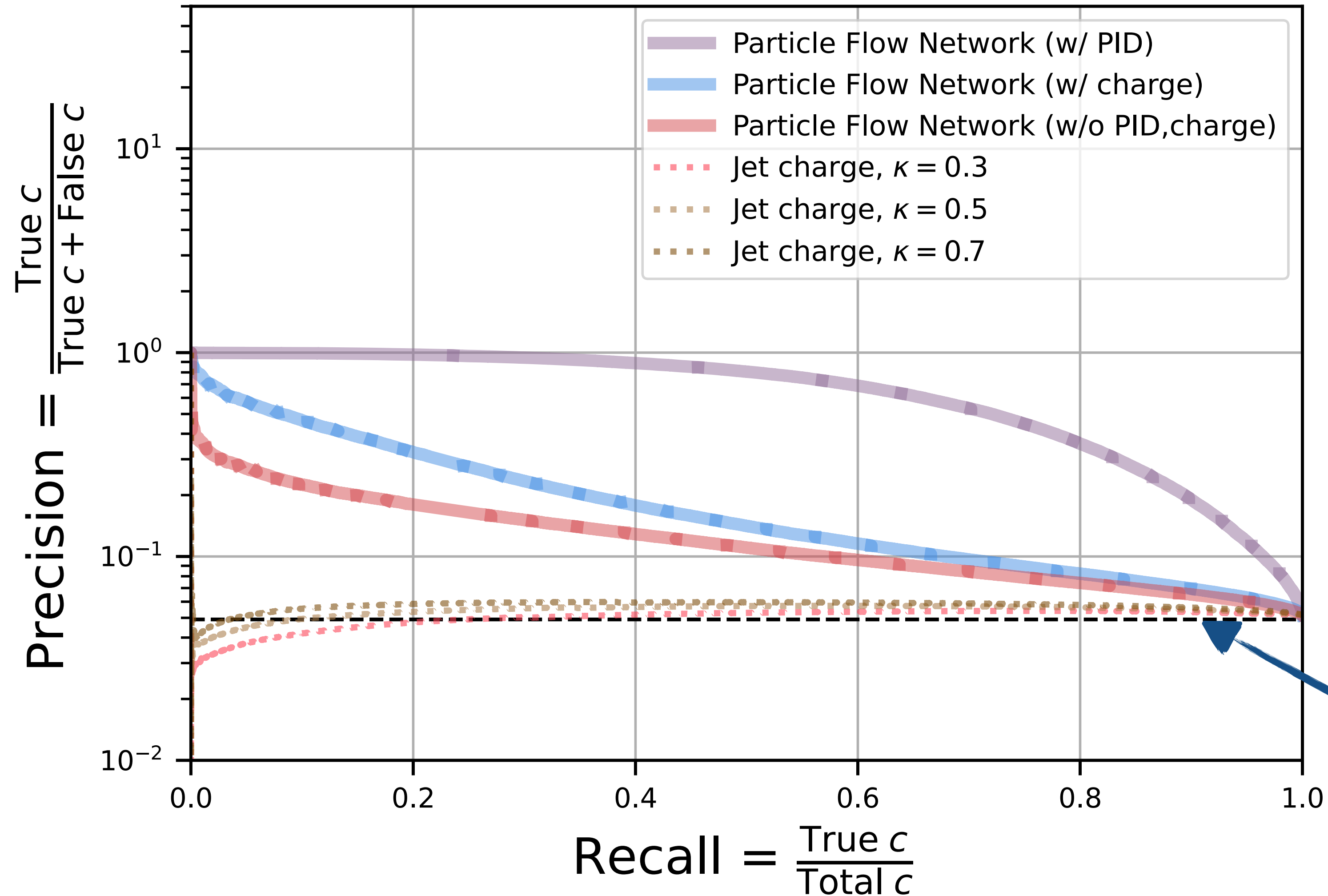


# Direct vs. resolved photon tagging



# Jet flavor tagging: *uds* vs. *c*

*u, d, s* vs. *c* jets



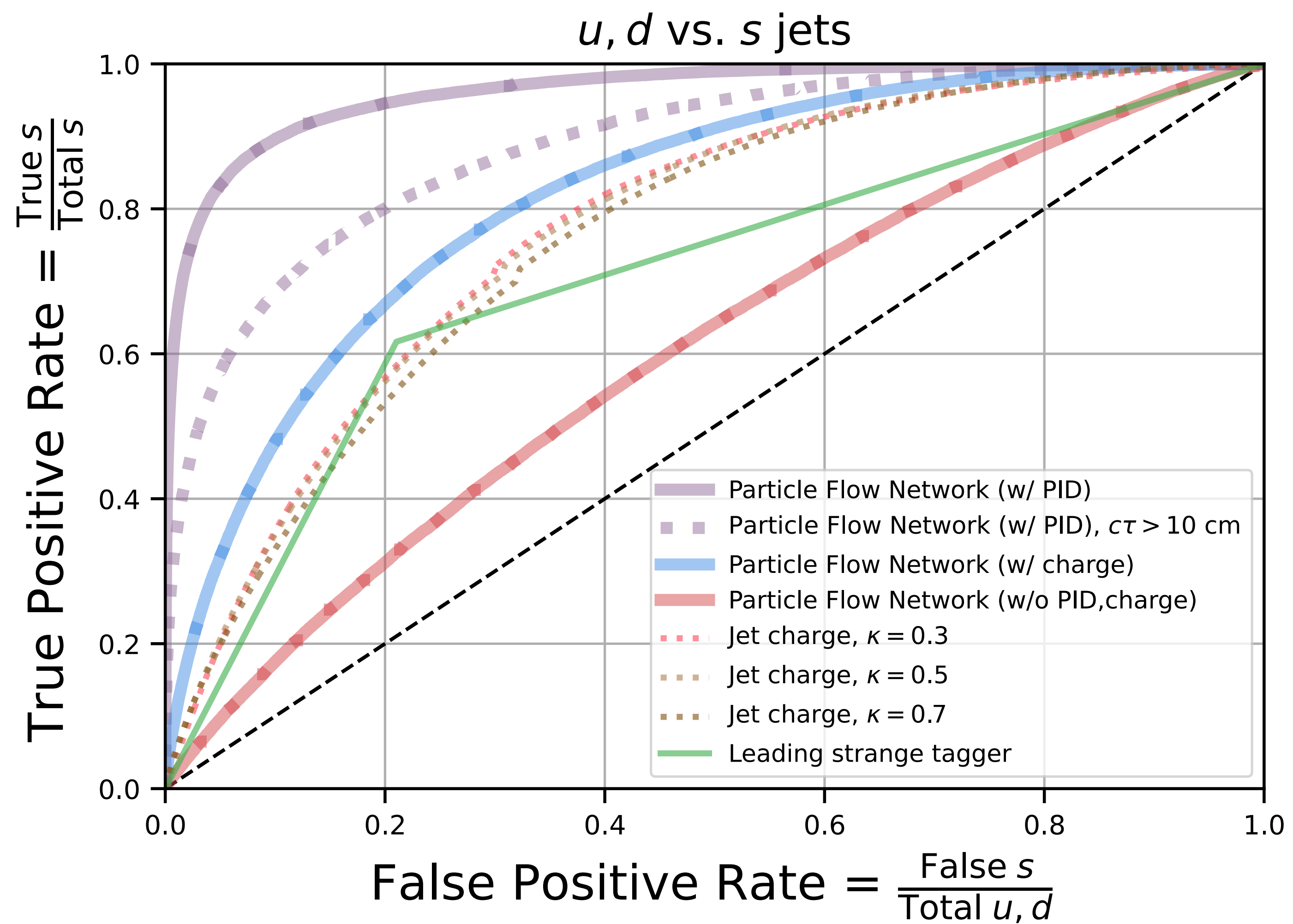
For charm: fragmentation pattern increasingly important, but PID is crucial

We use precision-recall metric since there are  $\sim 20x$  more *uds* than *c*

- Precision  $\leftrightarrow$  Purity
- Recall  $\leftrightarrow$  Efficiency

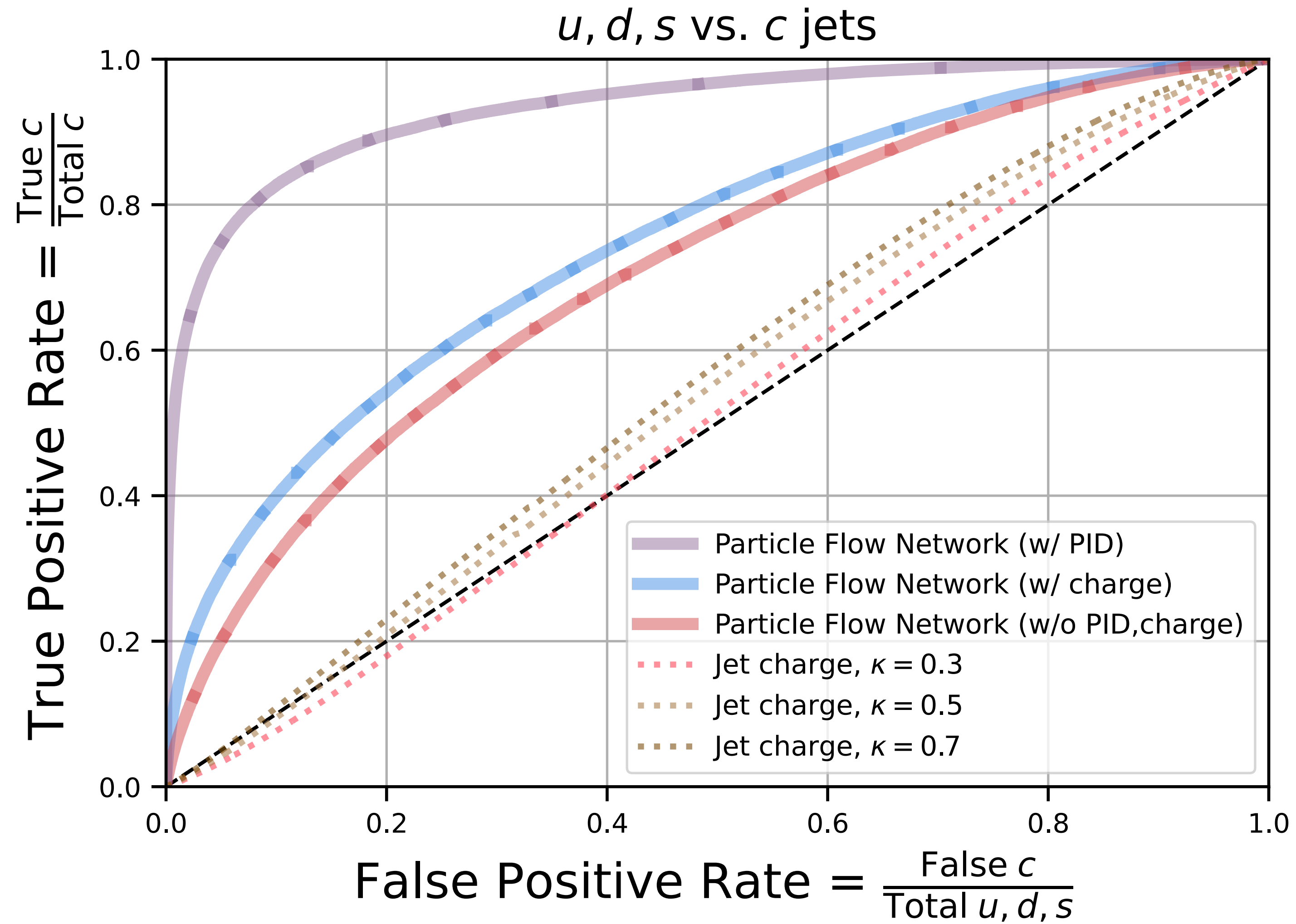
Random classifier

# ud vs. s





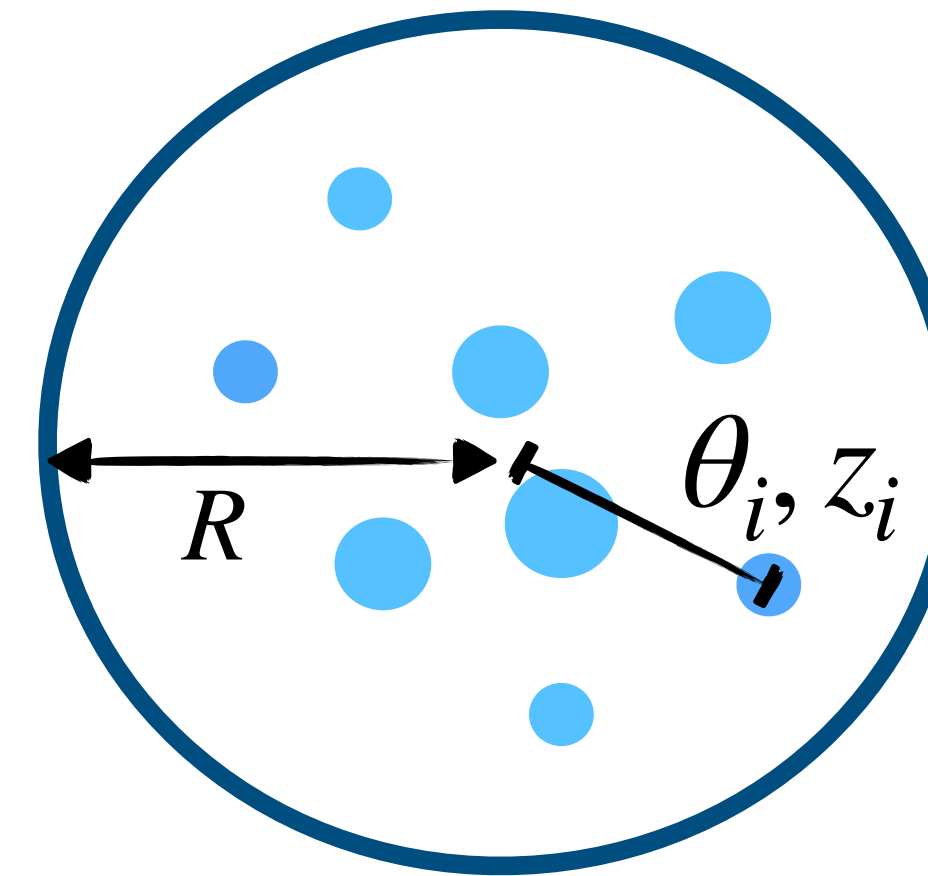
# uds vs. c



# Jet observables and IRC safety

We are free to construct any observable from the jet's constituents

$$\text{e.g. } \lambda_{\alpha}^{\kappa} = \sum_{i \in \text{jet}} z_i^{\kappa} \theta_i^{\alpha}$$

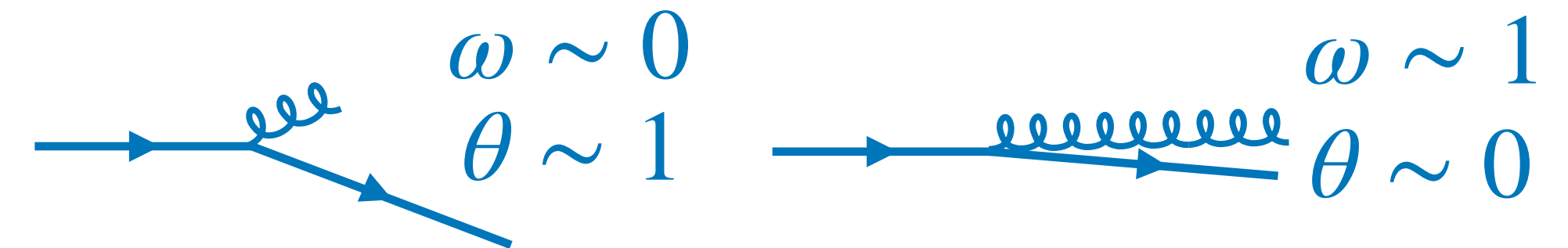


$$\theta_i = \frac{\sqrt{\Delta y^2 + \Delta \phi^2}}{R}$$

$$z_i = \frac{p_{T,i}}{p_{T,\text{jet}}}$$

However, usually only those combinations that obey **infrared-collinear (IRC) safety** are calculable in perturbative QCD

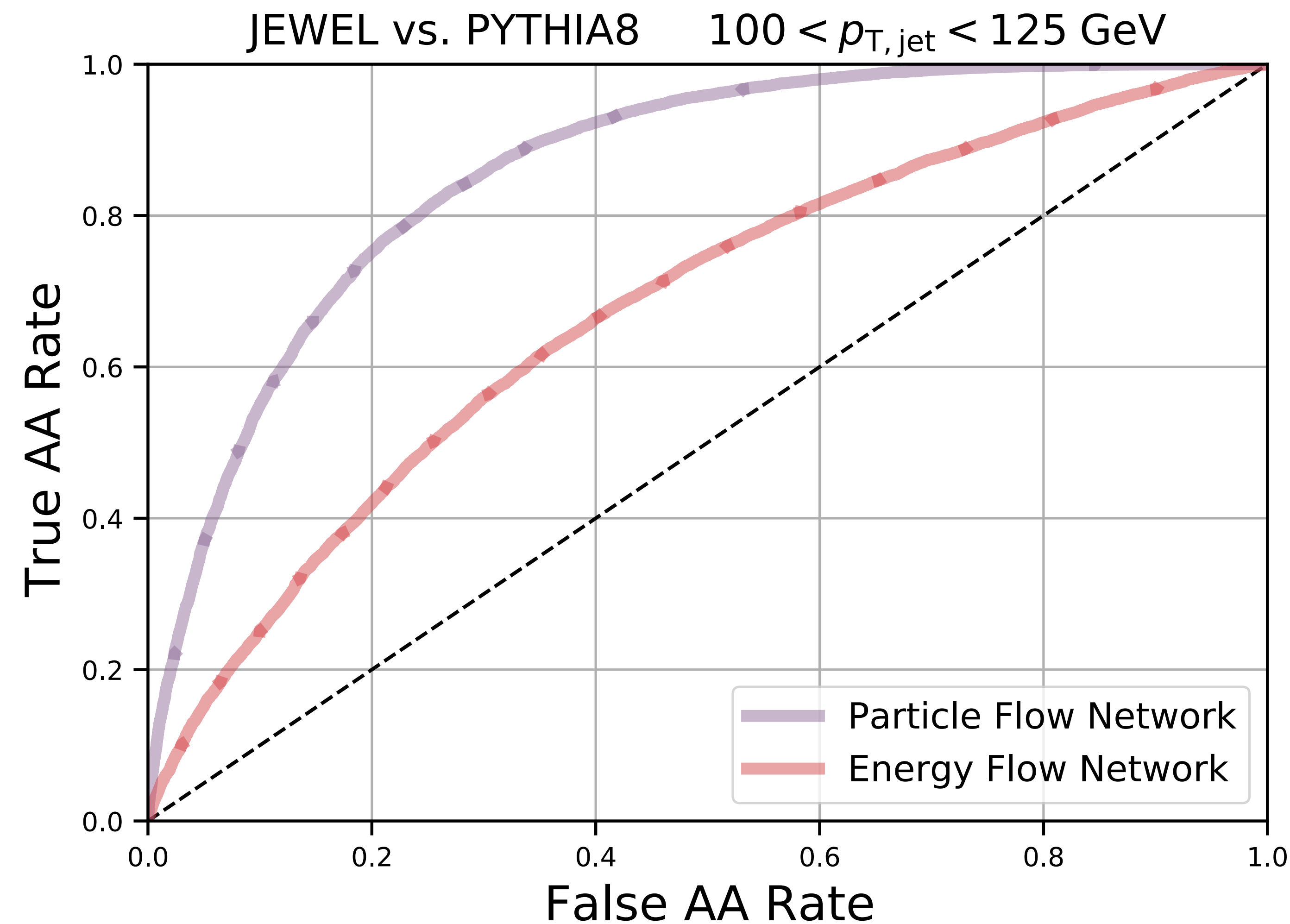
$$\text{e.g. } \lambda_{\alpha > 0}^{\kappa=1} = \sum_{i \in \text{jet}} z_i \theta_i^{\alpha}$$



*Insensitive to soft/collinear emissions*

# IRC-safe vs. IRC-unsafe physics

Lai, Mulligan, Płoskoń, Ringer JHEP 10 (2022) 011



We compare the IRC-unsafe network (PFN) to an IRC-safe network (EFN)

$$f(p_1, \dots, p_M) = F \left( \sum_{i=1}^M z_i \Phi(\hat{p}_i) \right)$$

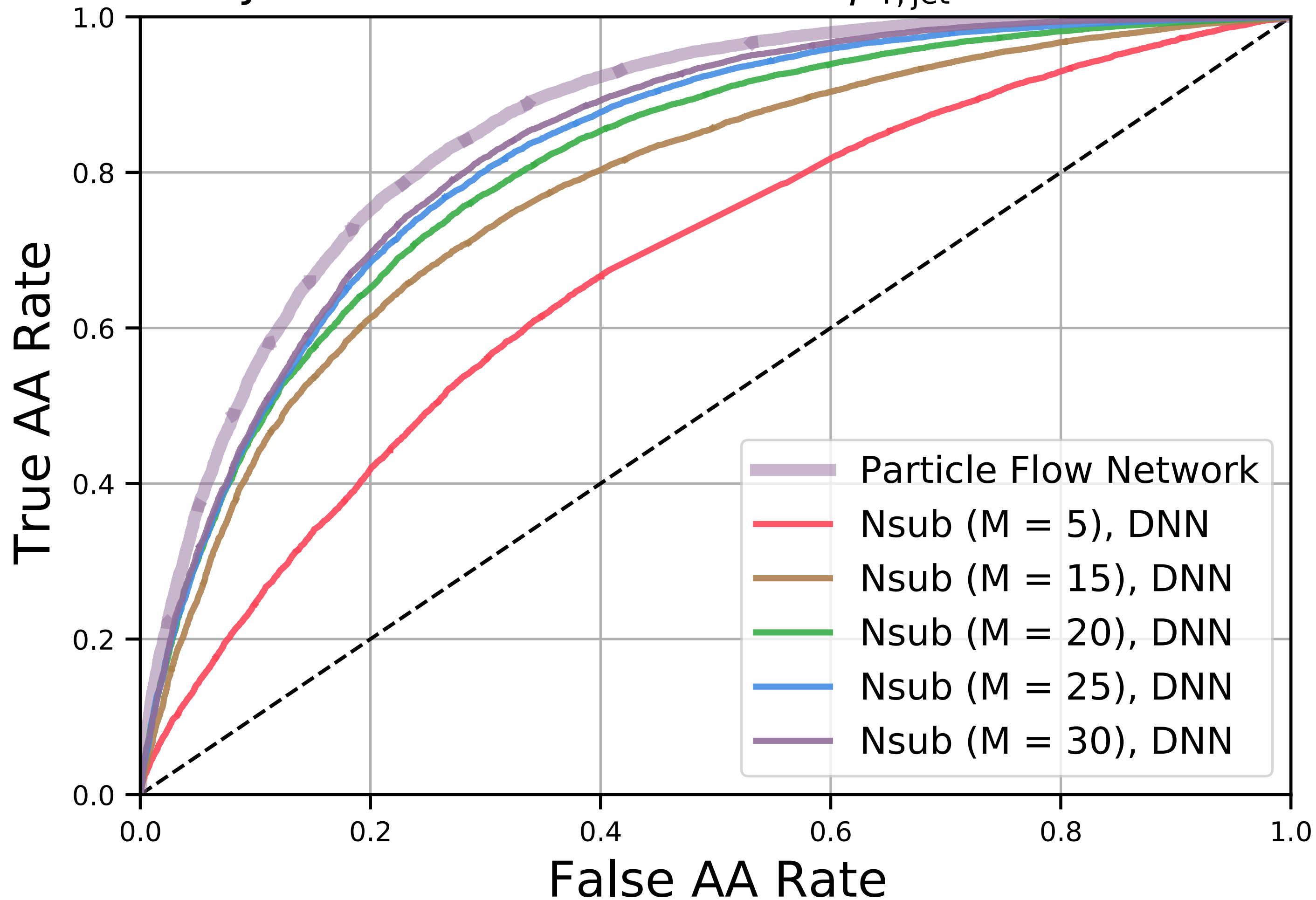
Classifier      DNNs

IRC-unsafe information contains significant discriminating power

# Hard vs. soft physics

Lai, Mulligan, Płoskoń, Ringer JHEP 10 (2022) 011

JEWEL vs. PYTHIA8  $100 < p_{T, \text{jet}} < 125 \text{ GeV}$



How many observables does one need to measure to saturate information?

DNN with  $3M - 4$   $N$ -subjettiness basis observables as input:

$$\left\{ \tau_1^{(0.5)}, \tau_1^{(1)}, \tau_1^{(2)}, \tau_2^{(0.5)}, \tau_2^{(1)}, \tau_2^{(2)}, \dots, \tau_{M-2}^{(0.5)}, \tau_{M-2}^{(1)}, \tau_{M-2}^{(2)}, \tau_{M-1}^{(0.5)}, \tau_{M-1}^{(1)} \right\}$$

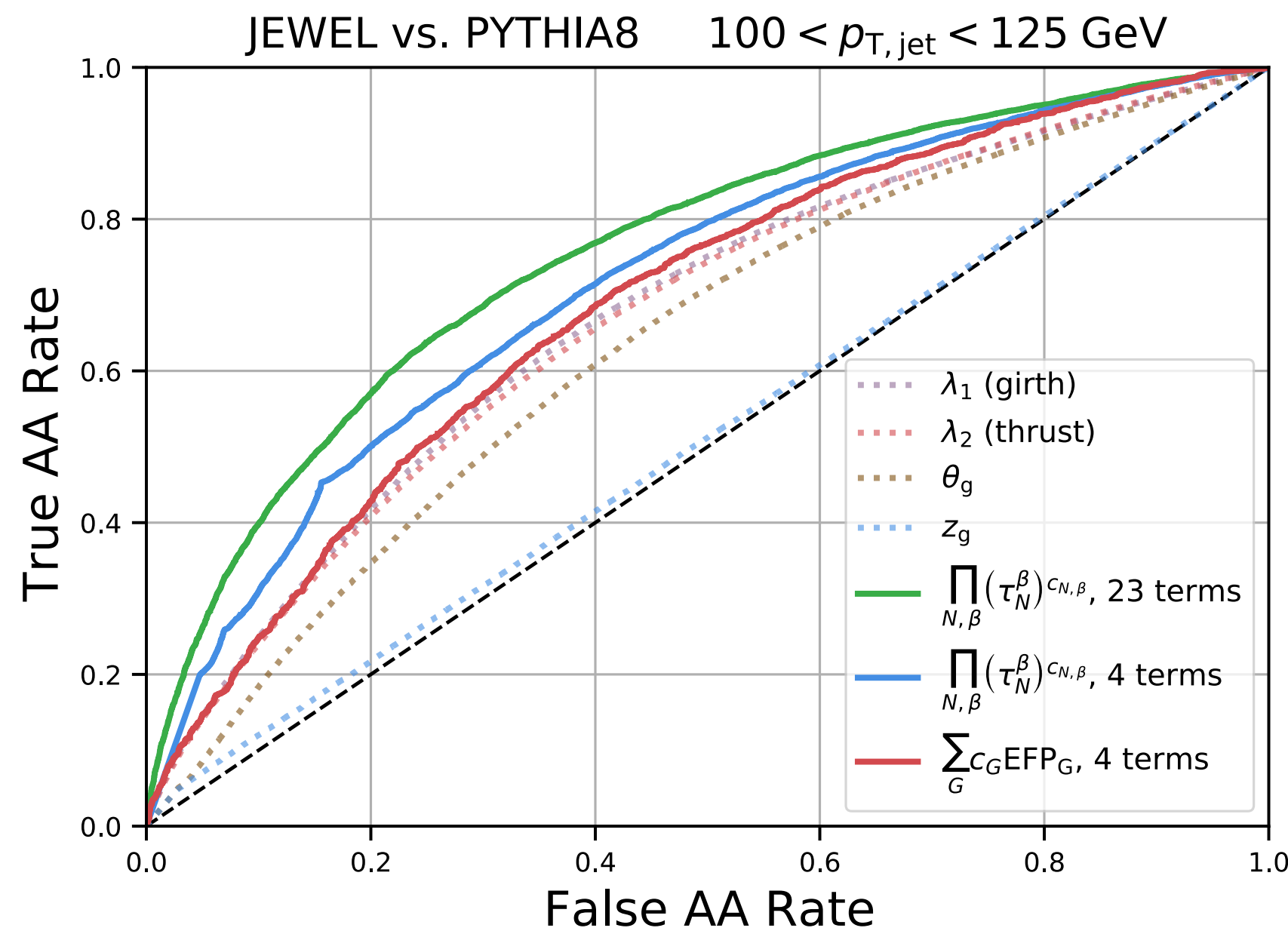
Significant information in quenched jets up to  $M \approx 25$



# Observable design

Lai, Mulligan, Płoskoń, Ringer JHEP 10 (2022) 011

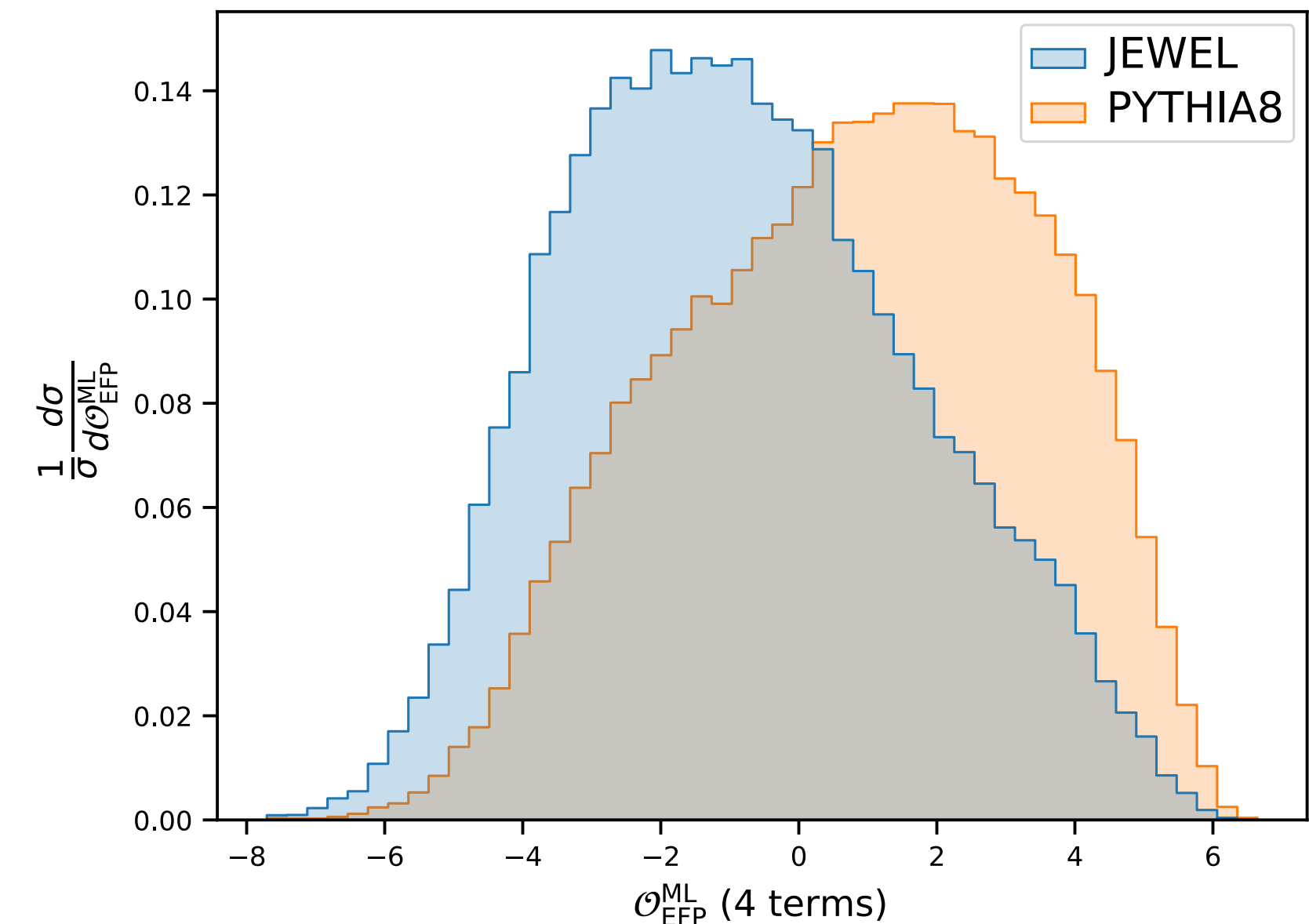
**By balancing the tradeoff of discriminating power and complexity, we can design the *most strongly modified* calculable observable**



Approximate classifier with small number of features



“Symbolic regression” using Lasso

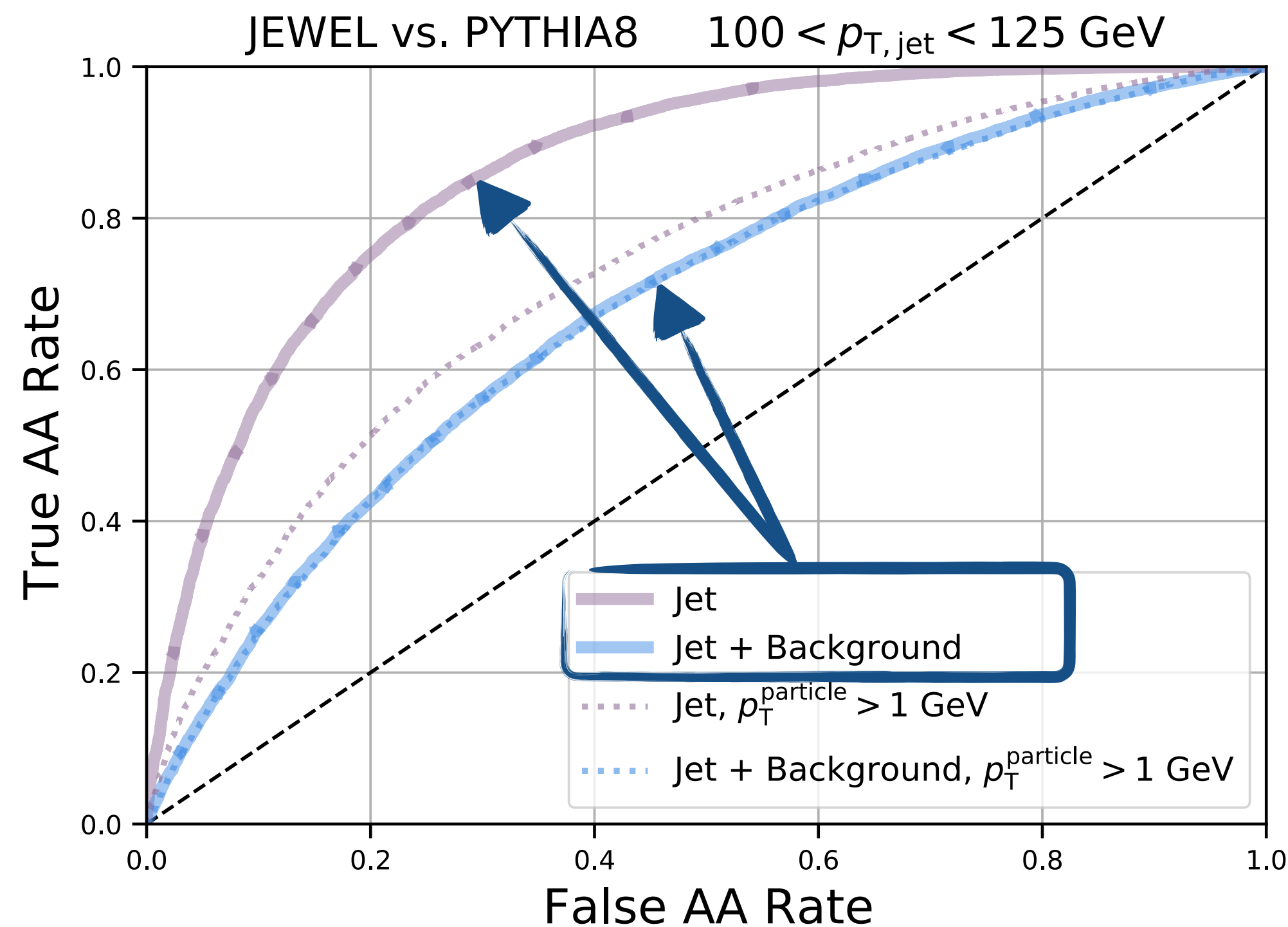


ML-assisted observable design provides guidance to experiments and theory — can then measure and calculate designed observables using traditional methods

# Information loss due to background

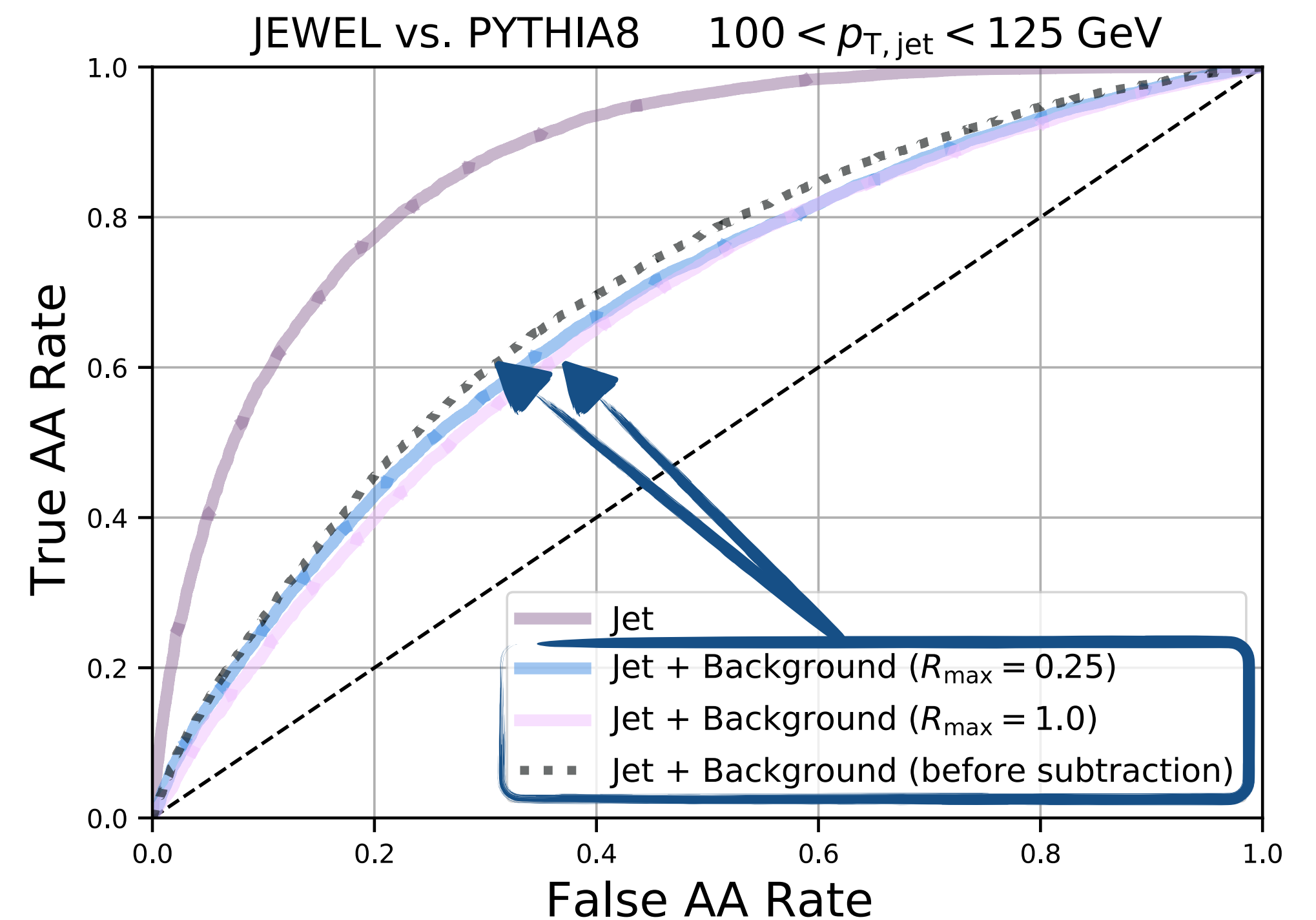
Lai, Mulligan, Płoskoń, Ringer JHEP 10 (2022) 011

**Discriminating power is highly reduced by the fluctuating underlying event**



Delicate challenge: soft information crucial, yet background prevents from being accessed

**Background subtraction algorithms remove small but significant information**



New metric to assess background subtraction algorithms