

BASE: Tests of fundamental symmetries by high precision comparisons of the fundamental properties of protons and antiprotons



MAX-PLANCK-GESELLSCHAFT



東京大学
THE UNIVERSITY OF TOKYO

Barbara Latacz, Stefan Ulmer, BASE Collaboration

CERN / RIKEN

12 / 12 / 2022



Heinrich Heine
Universität
Düsseldorf



JOHANNES GUTENBERG
UNIVERSITÄT MAINZ



What happened with antimatter?

Standard Model of Particle Physics

Naive Expectations	
Baryon/Photon Ratio	10^{-18}
Baryon/Antibaryon Ratio	1

Observations	
Baryon/Photon Ratio	0.6×10^{-9}
Baryon/Antibaryon Ratio	10 000

- A. Sakharov presented possible solutions in 1967 . According to his work, the matter-antimatter asymmetry could be explained by simultaneously occurring three conditions:
 - violation of baryon number;
 - C and CP symmetry violation;
 - lack of thermal equilibrium in the expanding Universe (=> direct CPT violation).

CPT violation?



**Ultra Precise Comparisons of
fundamental properties of
matter/antimatter conjugate system**

- CERN-AD: Measurement of (RIKEN):

- proton/antiproton q/m ratio

- magnetic moment of the antiproton

- cold dark matter searches



- Core members: **Stefan Ulmer**, Barbara Latacz, Elise Wursten, Bela Arndt, Benny Bayer, Stefan Erlewein, Markus Fleck, Julia Jaeger, Gilbertas Umbrasunas, Maylin Schiffelholz

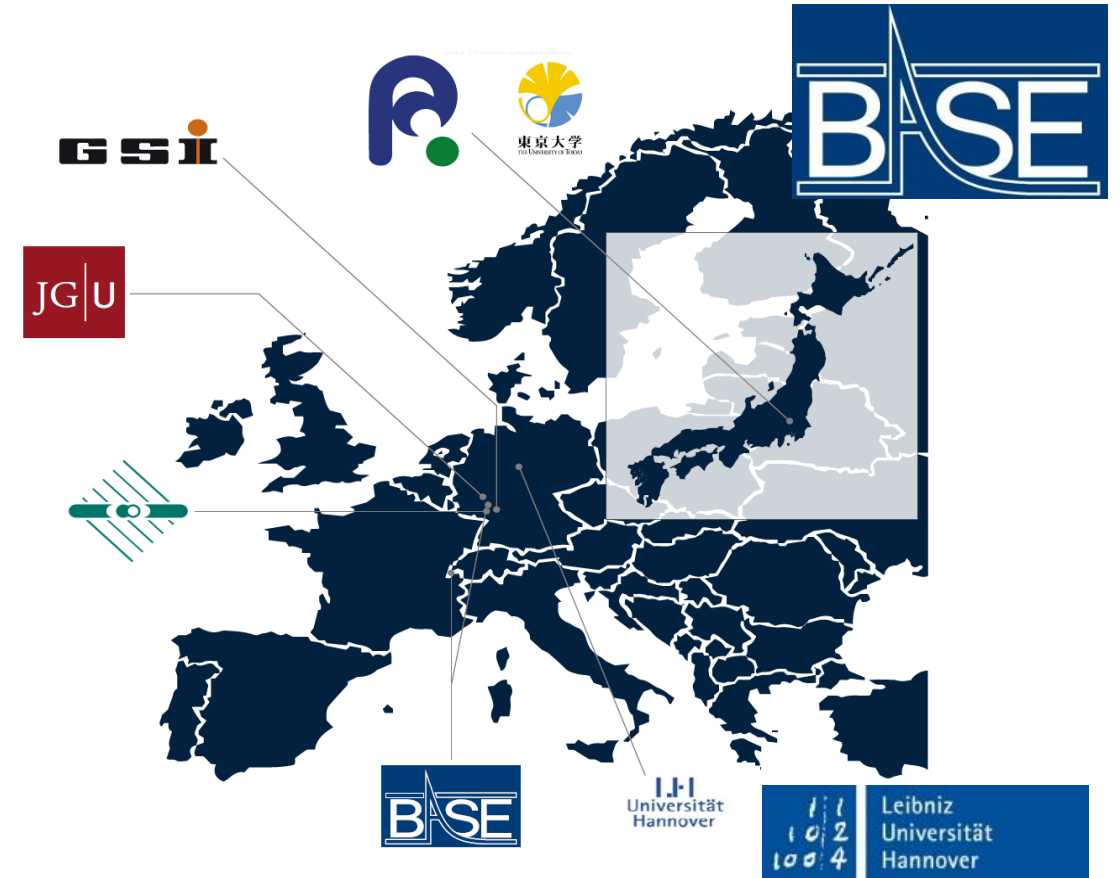
- **Mainz:** Measurement of the magnetic moment of the proton, implementation of new technologies (RIKEN/MPG)

- Core members: **Christian Smorra**, Peter Micke, Fatma Abbass, Matthew Bohman, Markus Wiesinger, Daniel Popper, Christian Will

- **Hannover/PTB:** QLEDS-laser cooling project, new technologies. (RIKEN/PTB/UH)

- Group leader: **Christian Ospelkaus**

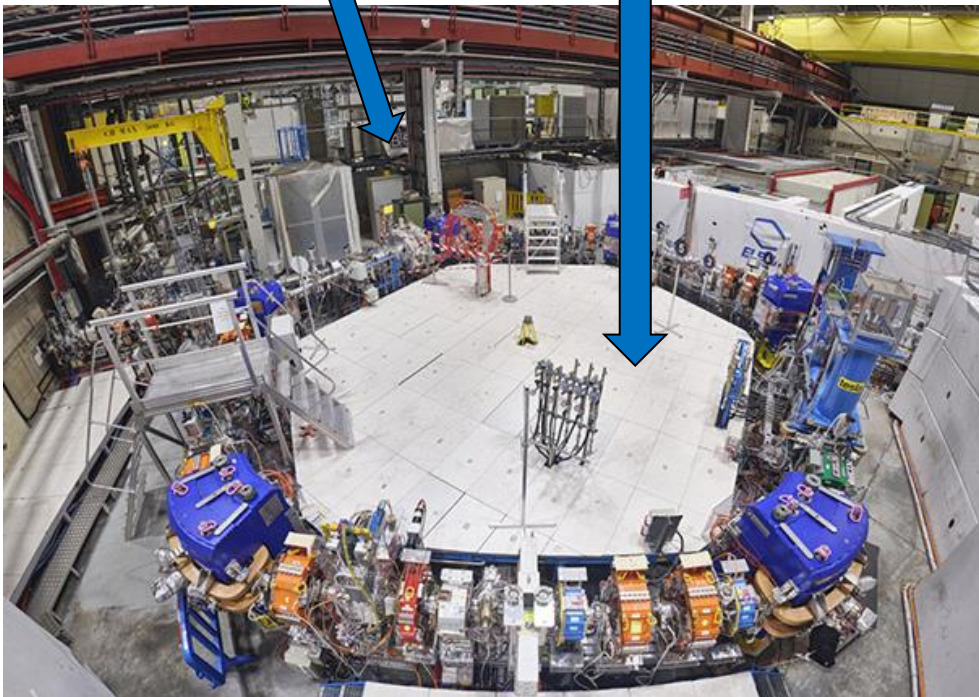
- K. Blaum, Y. Matsuda, W. Quint, A. Sótér, J. Walz, Y. Yamazaki



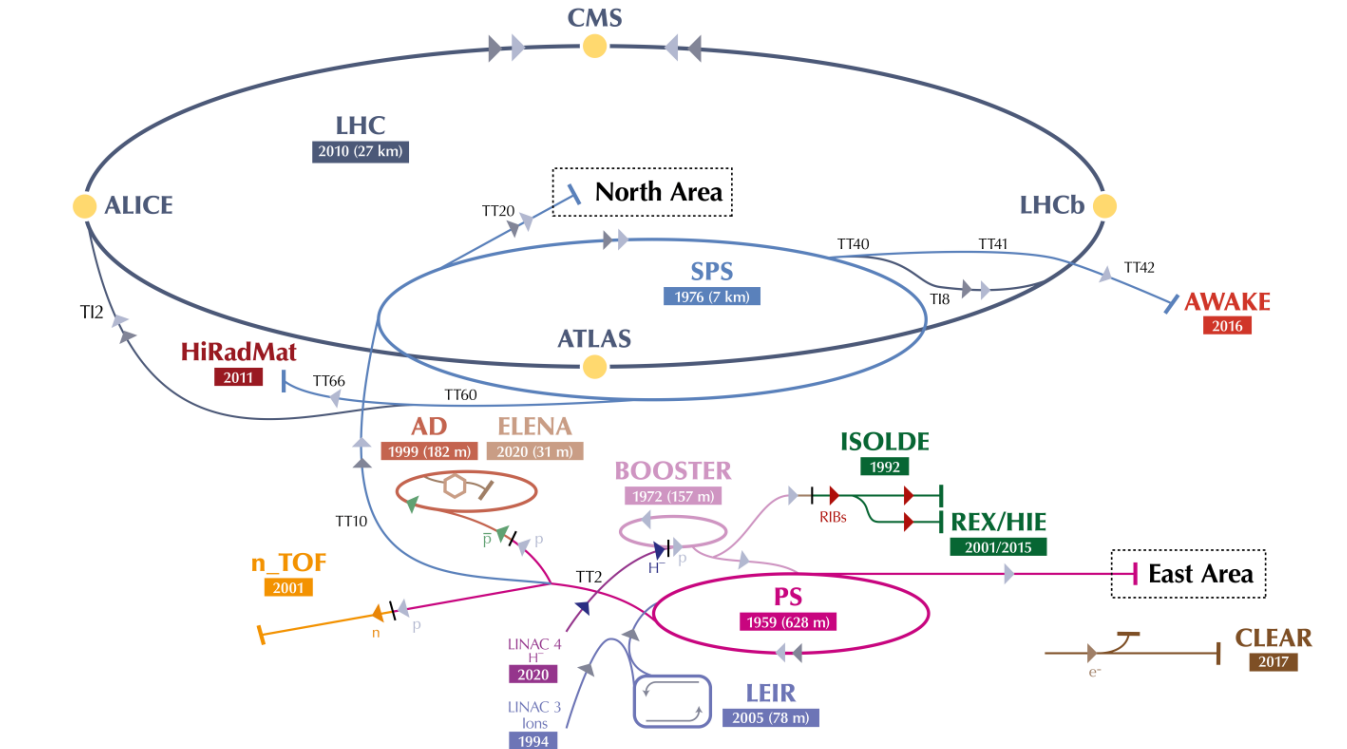
Institutes: RIKEN, MPIK, CERN, University of Mainz, Tokyo University, GSI Darmstadt, University of Hannover, PTB Braunschweig, ETH Zurich

Baryon/Antibaryon Symmetry Experiment

- CERN Antiproton Decelerator Facility is the only operating source of low energy antiprotons.
- Since 2021: ELENA – 100 keV antiproton beam with $5 \times 10^7 \bar{p}$ in one pulse.



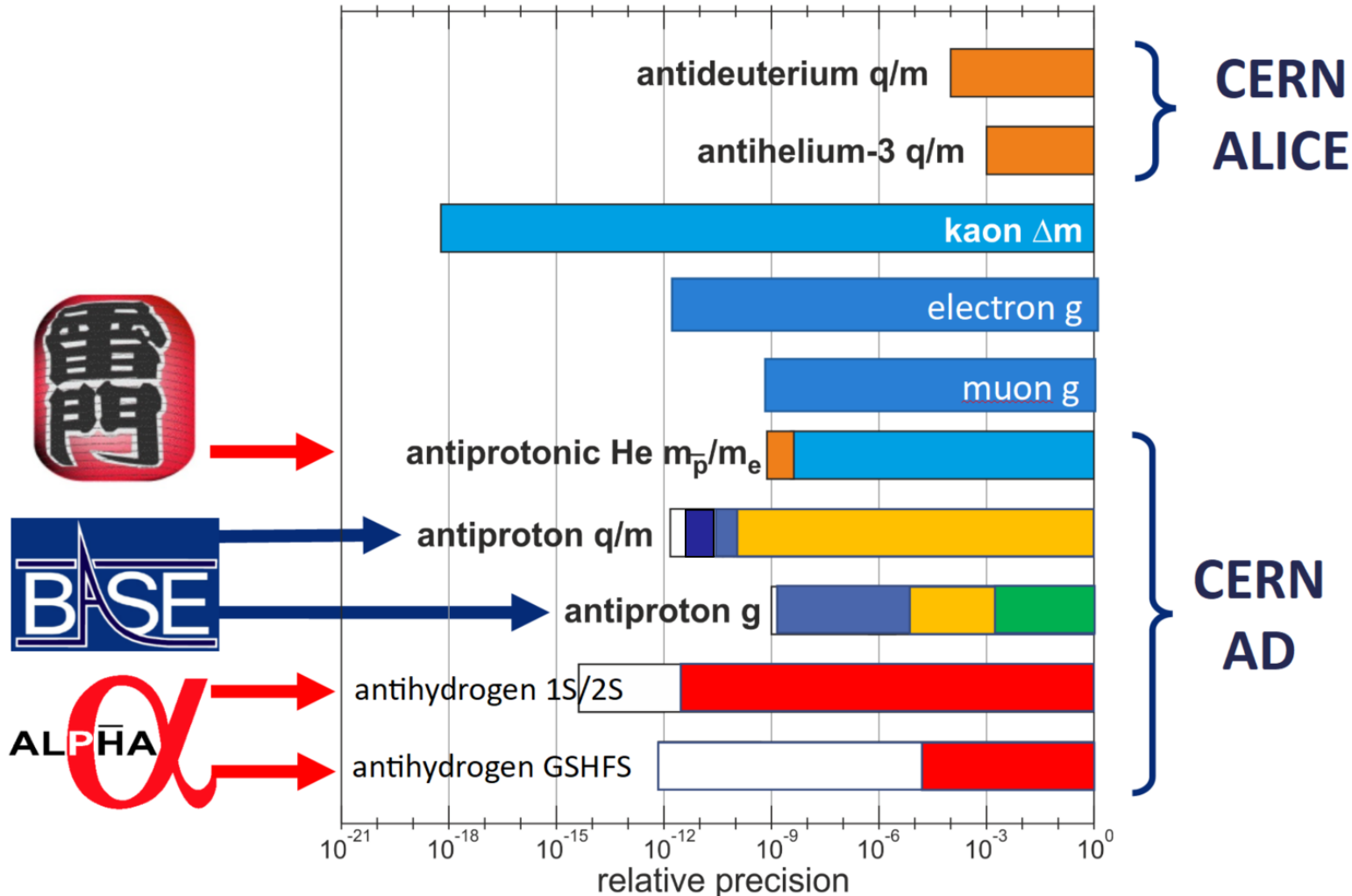
The CERN accelerator complex
Complexe des accélérateurs du CERN



▶ H^- (hydrogen anions) ▶ p (protons) ▶ ions ▶ RIBs (Radioactive Ion Beams) ▶ n (neutrons) ▶ \bar{p} (antiprotons) ▶ e^- (electrons)

LHC - Large Hadron Collider // SPS - Super Proton Synchrotron // PS - Proton Synchrotron // AD - Antiproton Decelerator // CLEAR - CERN Linear Electron Accelerator for Research // AWAKE - Advanced WAKEfield Experiment // ISOLDE - Isotope Separator OnLine // REX/HIE - Radioactive Experiment/High Intensity and Energy ISOLDE // LEIR - Low Energy Ion Ring // LINAC - LINear ACcelerator // n_TOF - Neutrons Time Of Flight // HiRadMat - High-Radiation to Materials

CPT with particle/antiparticle comparisons



-> Absolute energy resolution normalized to m-scale.

R.S. Van Dyck et al., Phys. Rev. Lett. **59**, 26 (1987).
 B. Schwingerheuer, et al., Phys. Rev. Lett. **74**, 4376 (1995).
 H. Dehmelt et al., Phys. Rev. Lett. **83**, 4694 (1999).
 G. W. Bennett et al., Phys. Rev. D **73**, 072003 (2006).
M. Hori et al., Nature **475**, 485 (2011).
 G. Gabriesle et al., PRL **82**, 3199(1999).
 J. DiSciaccia et al., PRL **110**, 130801 (2013).
 S. Ulmer et al., Nature **524**, 196-200 (2015).
 ALICE Collaboration, Nature Physics **11**, 811-814 (2015).
 M. Hori et al., Science **354**, 610 (2016).
 H. Nagahama et al., Nat. Comm. **8**, 14084 (2017).
 M. Ahmadi et al., Nature **541**, 506 (2017).
 ALPHA Collaboration, Nature **561**, 211-215 (2018).
 ALPHA Collaboration, Nature **578**, 375-380 (2020).
 BASE Collaboration, Nature 601.7891: 53-57 (2022).

Baryon/Antibaryon Symmetry Experiment

CPT violation?

Ultra Precise Comparisons of fundamental properties of protons and antiprotons

BASE

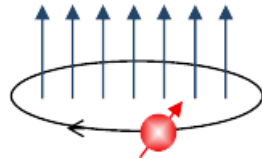
High precision mass spectroscopy of antiprotons and protons

High precision magnetic moment measurements

$$\frac{\nu_{c,\bar{p}}}{\nu_{c,p}} = \frac{e_{\bar{p}}/m_{\bar{p}}}{e_p/m_p}$$

Cyclotron Motion

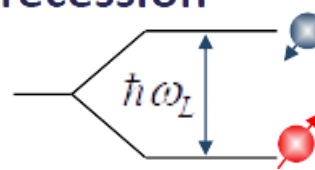
$$\omega_c = \frac{e}{m_p} B$$



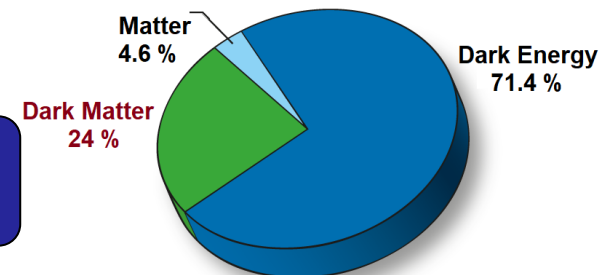
$$\frac{\nu_L}{\nu_c} = \frac{\mu_p}{\mu_N} = \frac{g_p}{2}$$

Larmor Precession

$$\omega_L = g \frac{e}{2m_p} B$$



Dark Matter Searches



Penning trap

- Penning trap with:**

- > radial confinement: $\vec{B} = B_0 \hat{z}$

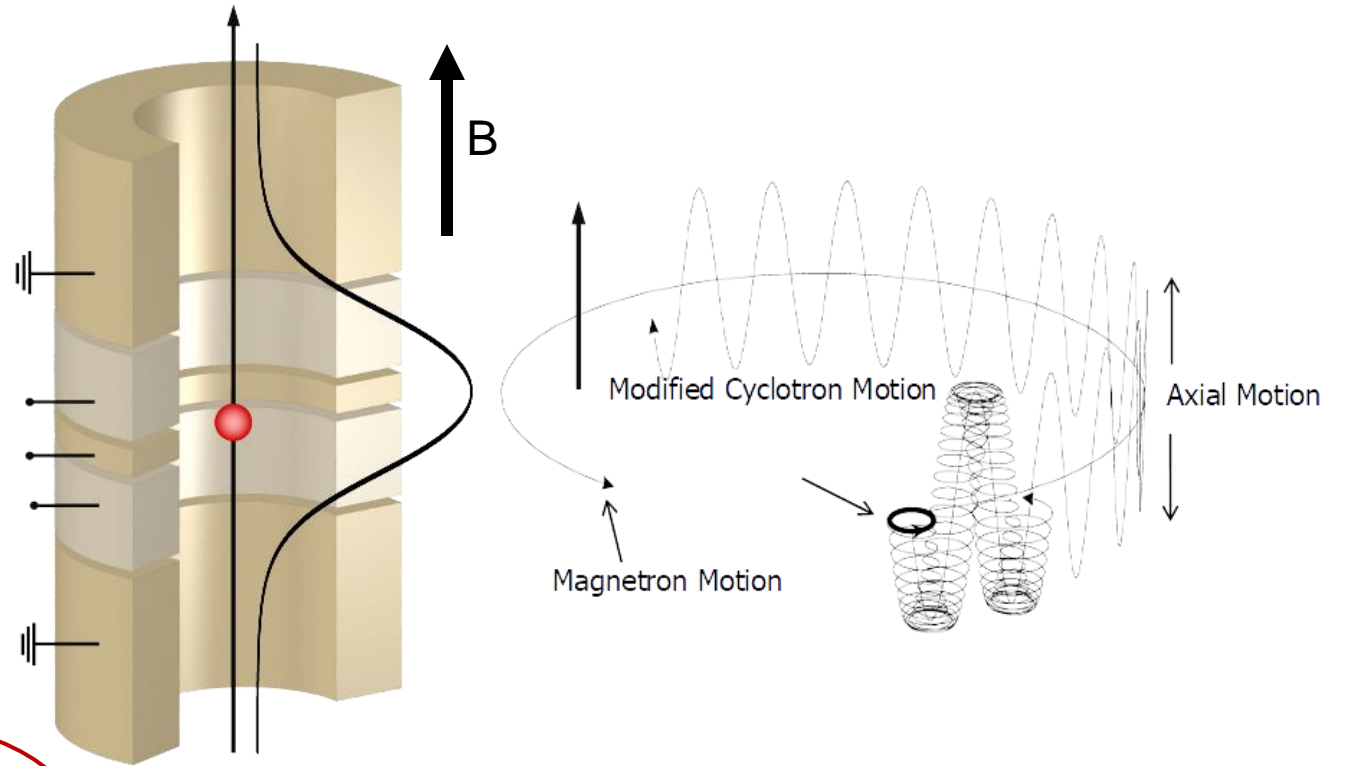
- > axial confinement: $\Phi(\rho, z) = V_0 C_2 \left(z^2 - \frac{\rho^2}{2} \right)$

- Invariance theorem:**

Cyclotron frequency of a particle

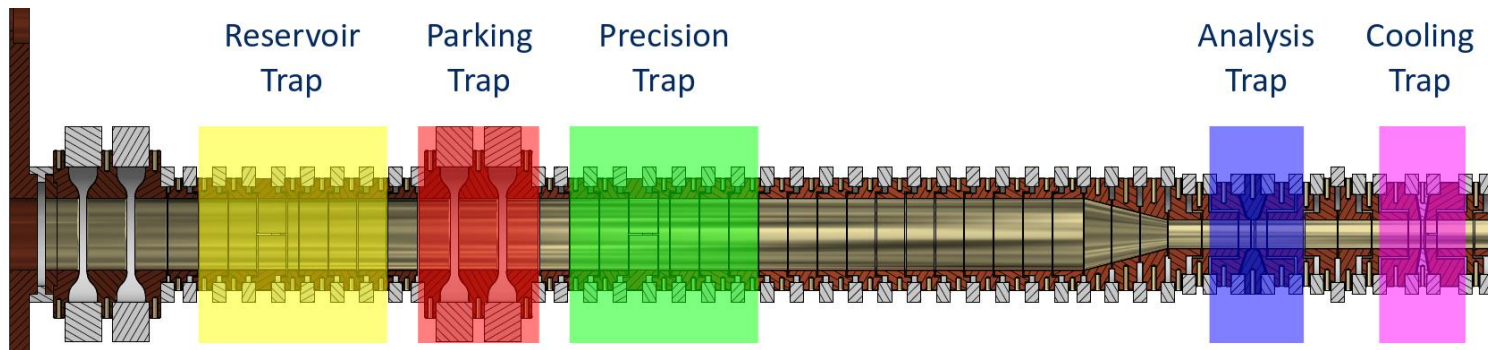
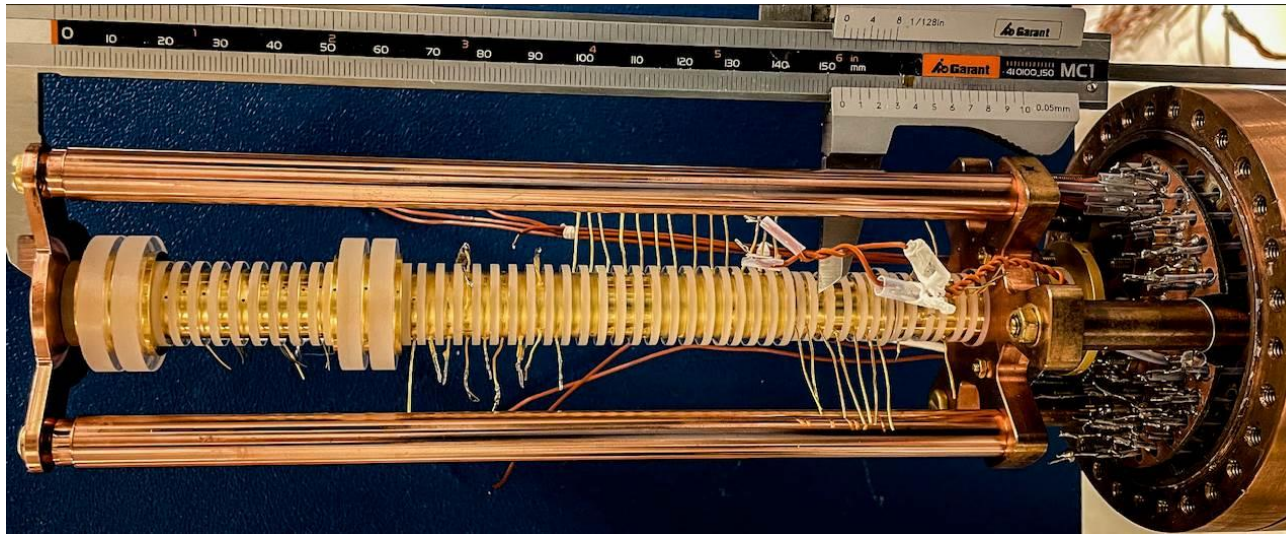
$$v_c = \sqrt{v_+^2 + v_z^2 + v_-^2} \longleftrightarrow v_c = \frac{1}{2\pi} \frac{q_{ion}}{m_{ion}} B$$

which is correct also for any small angle misalignment of the trap or quadratic imperfections of the field (G. Gabrielse)!



Axial	680 kHz	$v_z = \frac{1}{2\pi} \sqrt{\frac{2C_2 q V_0}{m}}$
Magnetron	8 kHz	$v_- = \frac{1}{2} \left(v_c - \sqrt{v_c^2 - 2v_z^2} \right)$
Modified Cyclotron	28.9 MHz	$v_+ = \frac{1}{2} \left(v_c + \sqrt{v_c^2 - 2v_z^2} \right)$

BASE Trap Stack 2022



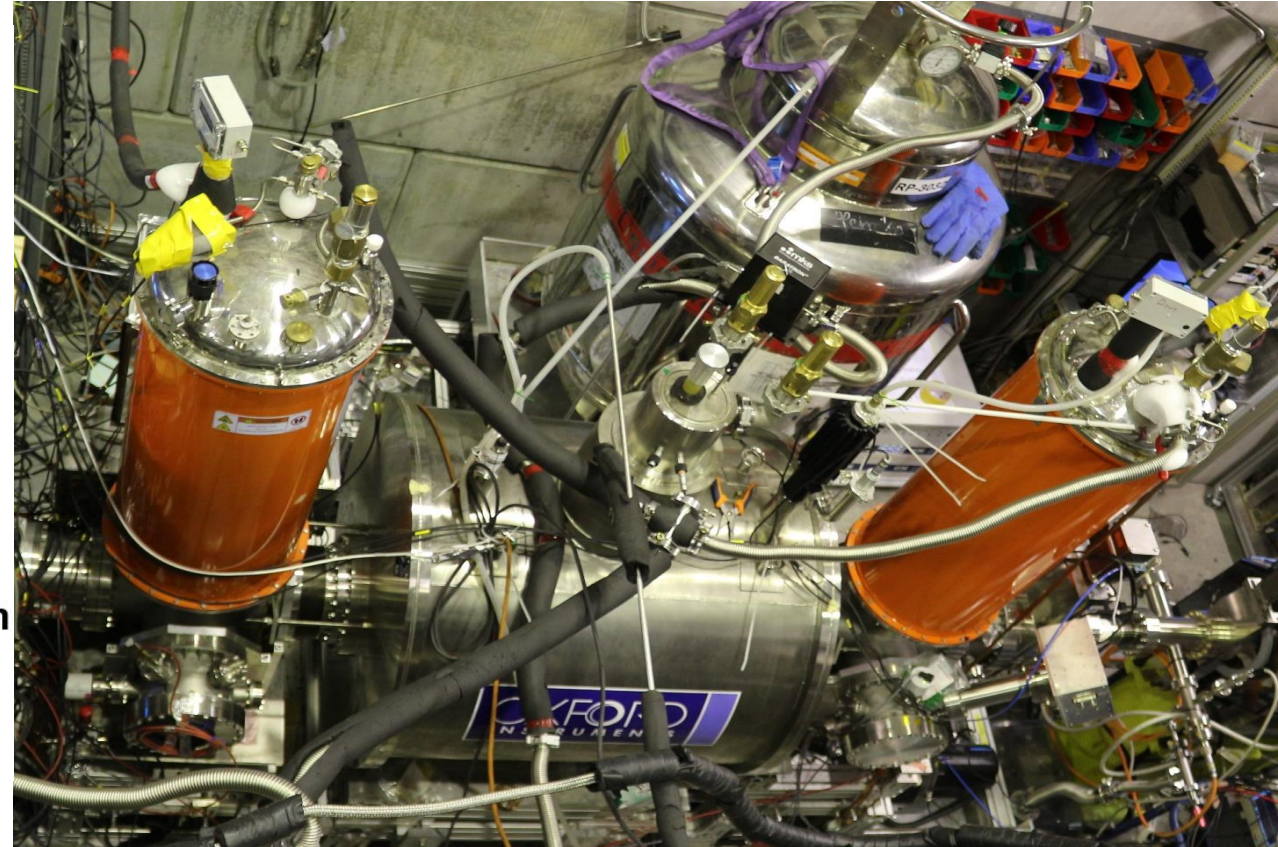
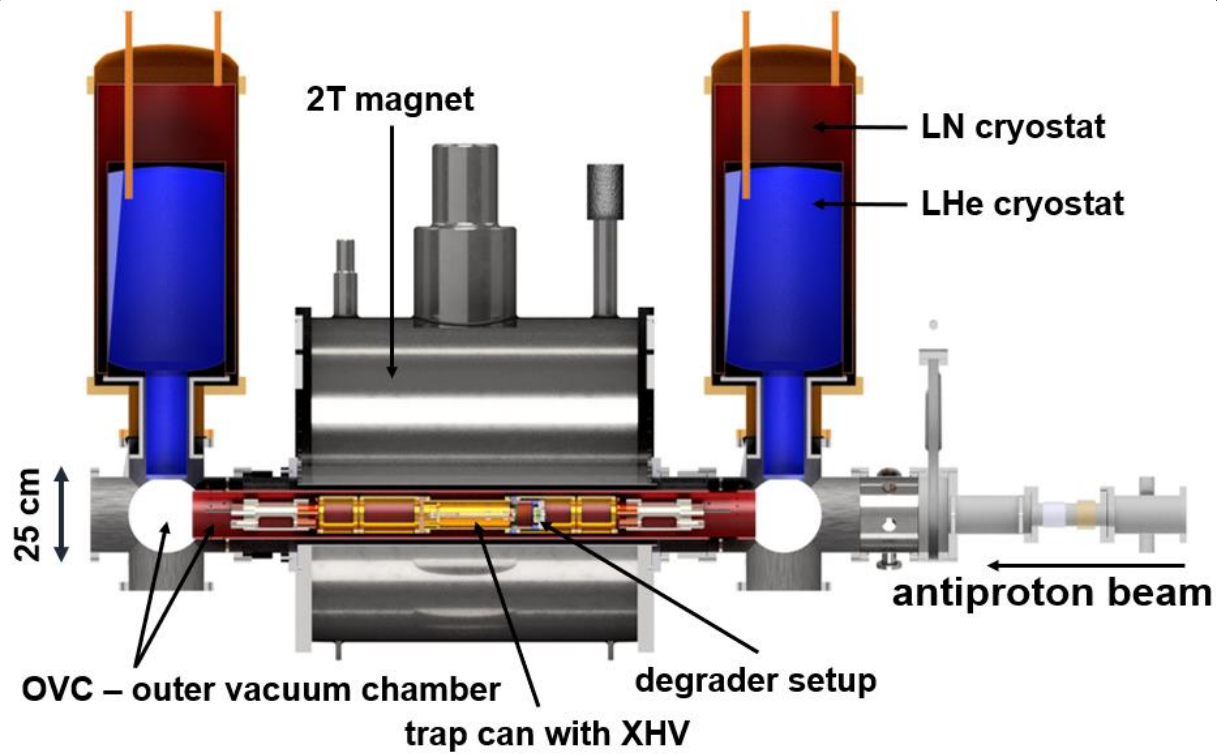
Reservoir Trap: Stores a cloud of antiprotons, suspends single antiprotons for measurements.

Precision Trap: Homogeneous field for frequency measurements, $B_2 < 0.5 \mu\text{T} / \text{mm}^2$.

Analysis Trap: Inhomogeneous field for the detection of antiproton spin flips, $B_2 = 300 \text{ mT} / \text{mm}^2$.

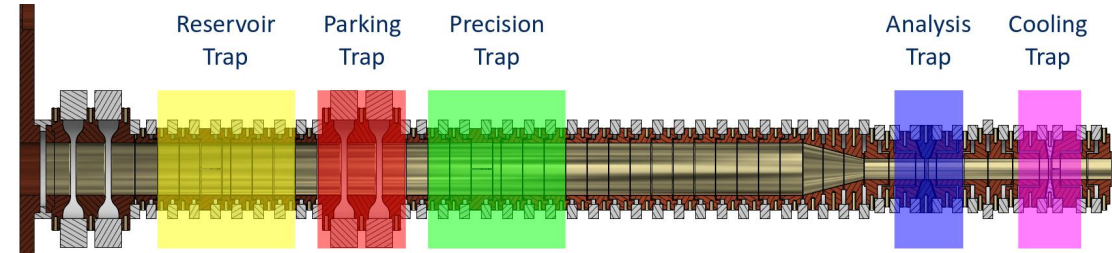
Cooling Trap: Fast cooling of the cyclotron motion.

The experiment

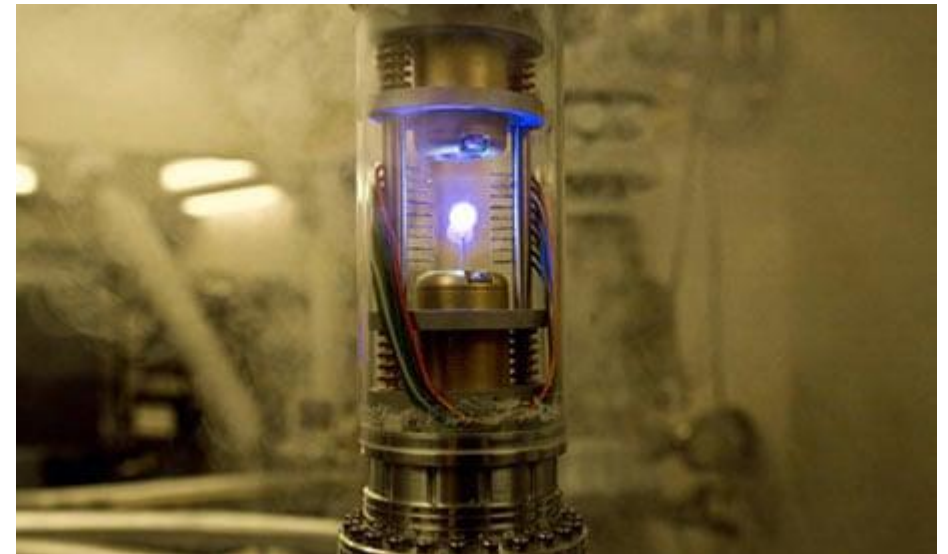


A special place (in the Universe?) – BASE Reservoir trap

- BASE Reservoir trap:
 - **Pressure:** $p_H < 0.46 \times 10^{-18}$ mbar and $p_{He} < 1.04 \times 10^{-18}$ mbar.
 - best characterized vacuum on Earth, comparable to pressures in the interstellar medium
 - Antiproton storage time is 10s of years -> 405 days.
 - Not more than 3000 atoms in a vacuum volume of 0.5 l
 - Order 100 to 1000 trapped antiprotons
 - A local inversion of the baryon asymmetry



BASE ANTIMATTER INVERSION	
local volume	0.0001^3 m^3
Baryons in local trap volume	$1.65 \cdot 10^{-7}$
Antibaryon in local trap volume	100
Antibaryon/Baryon Ratio	$5.9 \cdot 10^8$

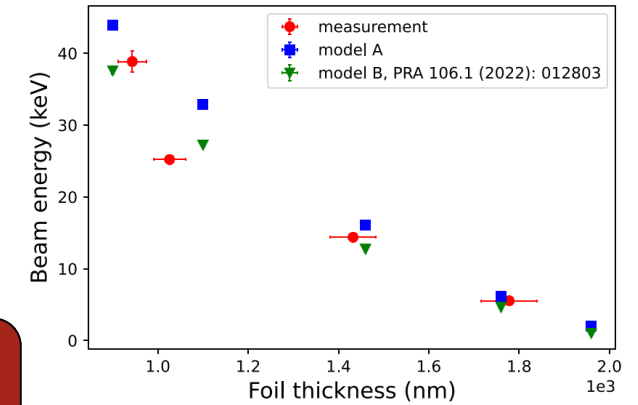


1760 nm thick vacuum window

BASE must have:

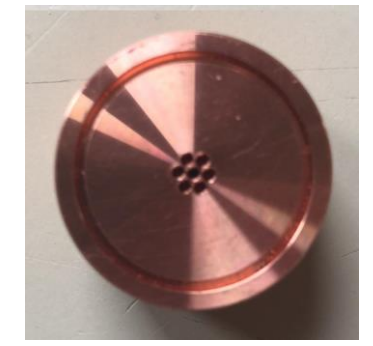
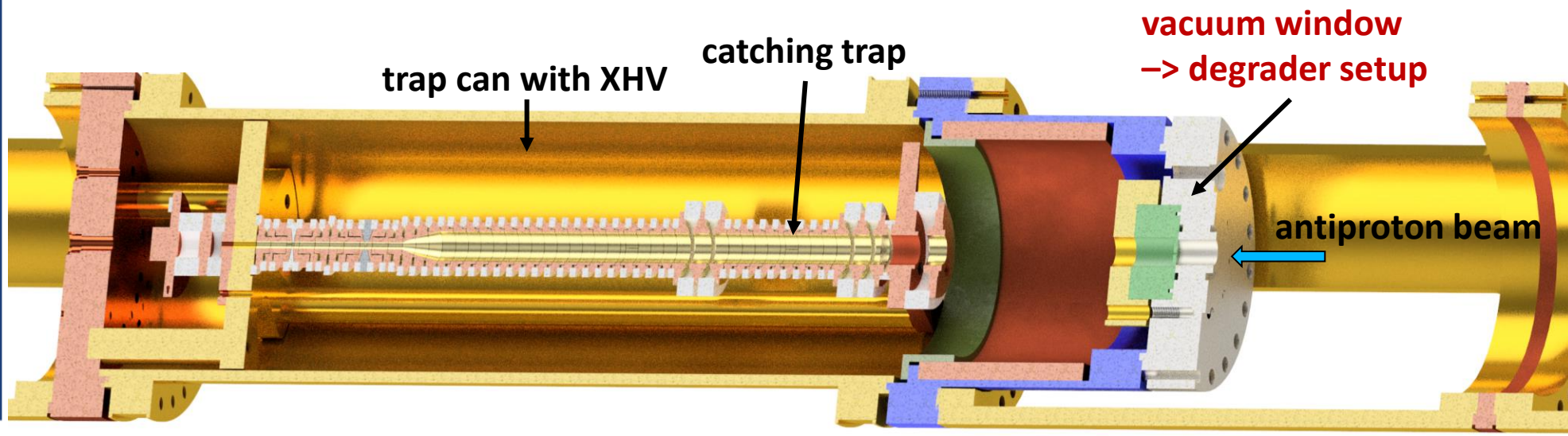
1. Trap system has to be permanently closed in order to reach XHV with $p_H < 1.0 \times 10^{-17}$ mbar and $p_{He} < 1.0 \times 10^{-17}$ mbar.
2. We have to be able to transport to the trap center antiprotons and be able to catch them.

Beam source	Beam energy	Max window thickness
ELENA	100 keV	1760 nm of Mylar



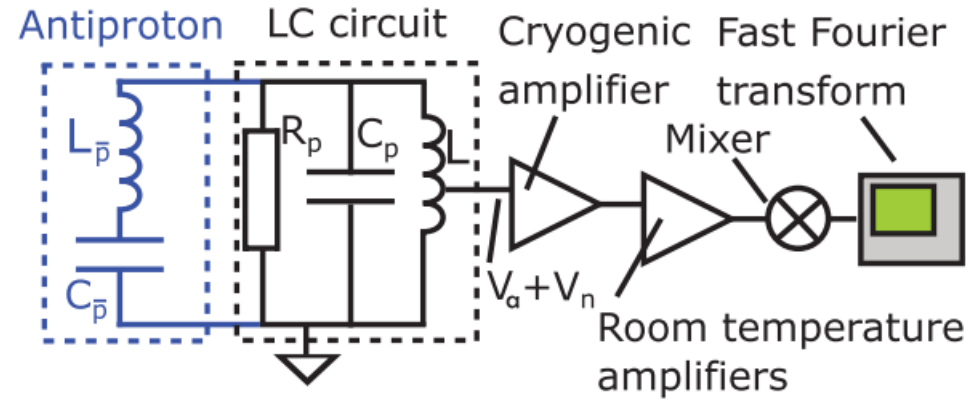
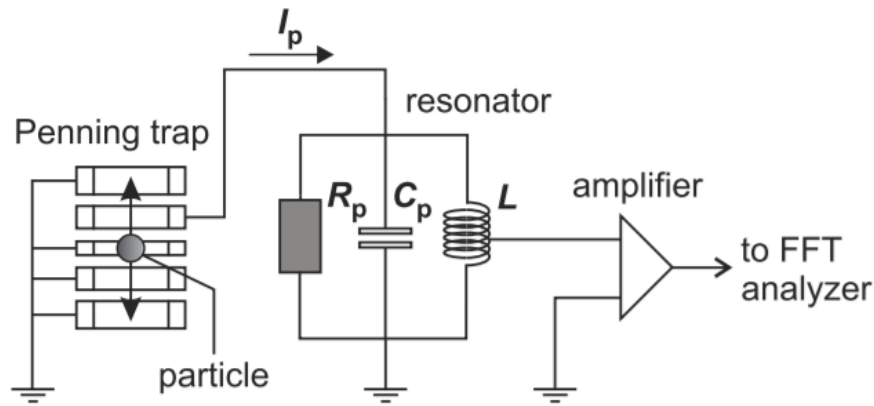
Ultra Thin (1.76 μm - 2.16 μm)
Polymer Foil Cryogenic Window

+ cryogenic
+ has to survive 1 bar pressure difference



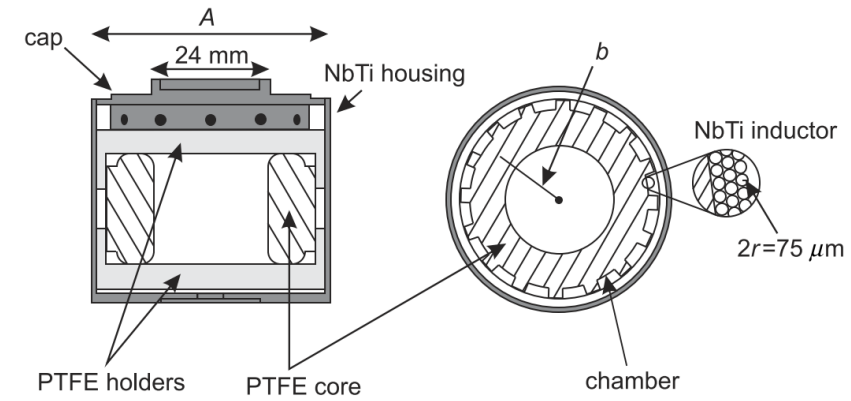
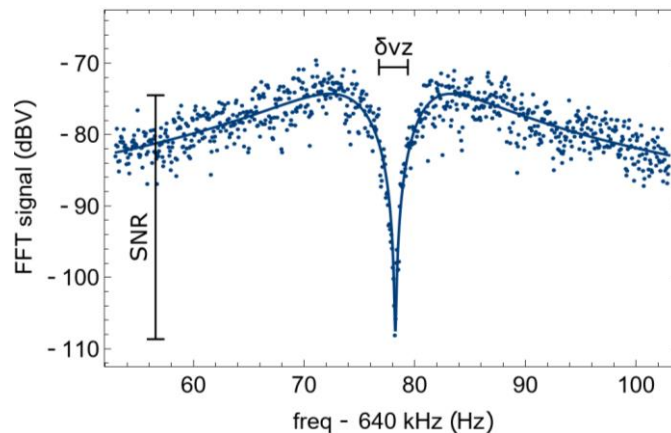
Frequency Measurements

- Measurement of fA image currents induced in trap electrodes



- In thermal equilibrium:
 - Particles short noise in parallel
 - Appear as a dip in detector spectrum
 - Width of the dip -> number of particles

$$\Delta\nu = \frac{1}{2\pi} \frac{R}{m} \left(\frac{q}{D} \right)^2 \cdot N$$



Cyclotron frequency

- „Simple” measurement, with main systematics coming from magnetic field stability

$$\nu_c = \sqrt{\nu_+^2 + \nu_z^2 + \nu_-^2}$$

- **Sideband method (5.5 ppb in 2016 scatter):**
 - > axial dip spectrum: ν_z
 - > sideband radio-frequency drive at $\nu_{rf} \approx \nu_+ - \nu_z$
 - > double dip spectrum: $\nu_+ = \nu_{rf} + \nu_l + \nu_r - \nu_z$
 - > magnetron mode: $\nu_- \approx \nu_z^2 / (2\nu_+)$

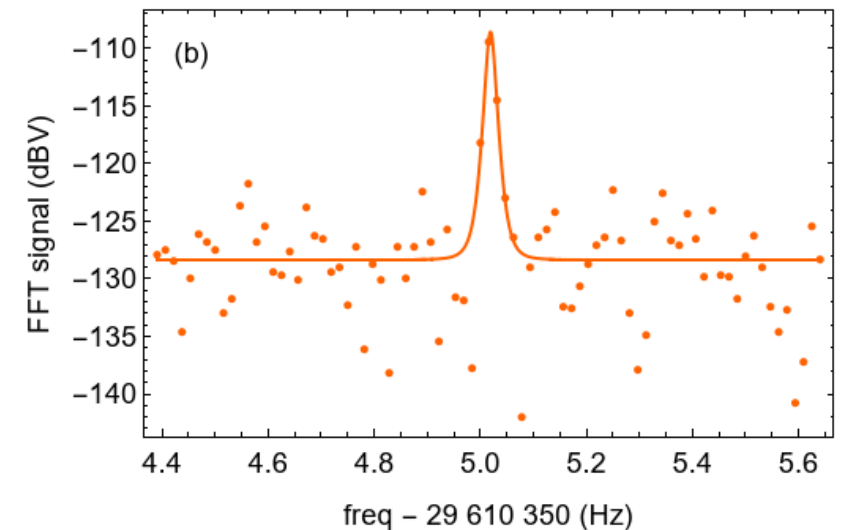
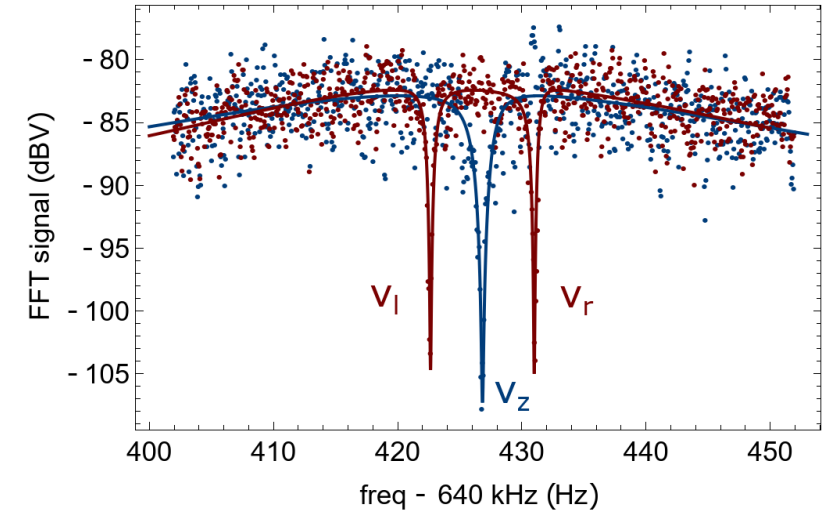
Main uncertainty: spectrum shift.

- **Peak method:**
 - > direct detection of the modified cyclotron frequency using specially designed cyclotron detector

$$\Delta\nu_{+,z} = \nu_{+,z}^* - \nu_{+,z} = \mathcal{M}_{+,z}(B_2, C_4, SR) \times E_+$$

Main uncertainty: magnetic field stability.

Axial	680 kHz
Magnetron	8 kHz
Modified Cyclotron	28.9 MHz



Antiproton-to-proton charge to mass ratio measurement

- Inspired by earlier work of TRAP collaboration (G. Gabrielse et al., PRL 82, 3199(1999)).
- Charge to mass ratio:

$$R = \frac{(q/m)_{\bar{p}}}{(q/m)_p} = \frac{v_{c,\bar{p}}}{v_{c,p}} = a_{corr} \frac{v_{c,\bar{p}}}{v_{c,H^-}}$$

with H^- as a perfect proxy of a proton

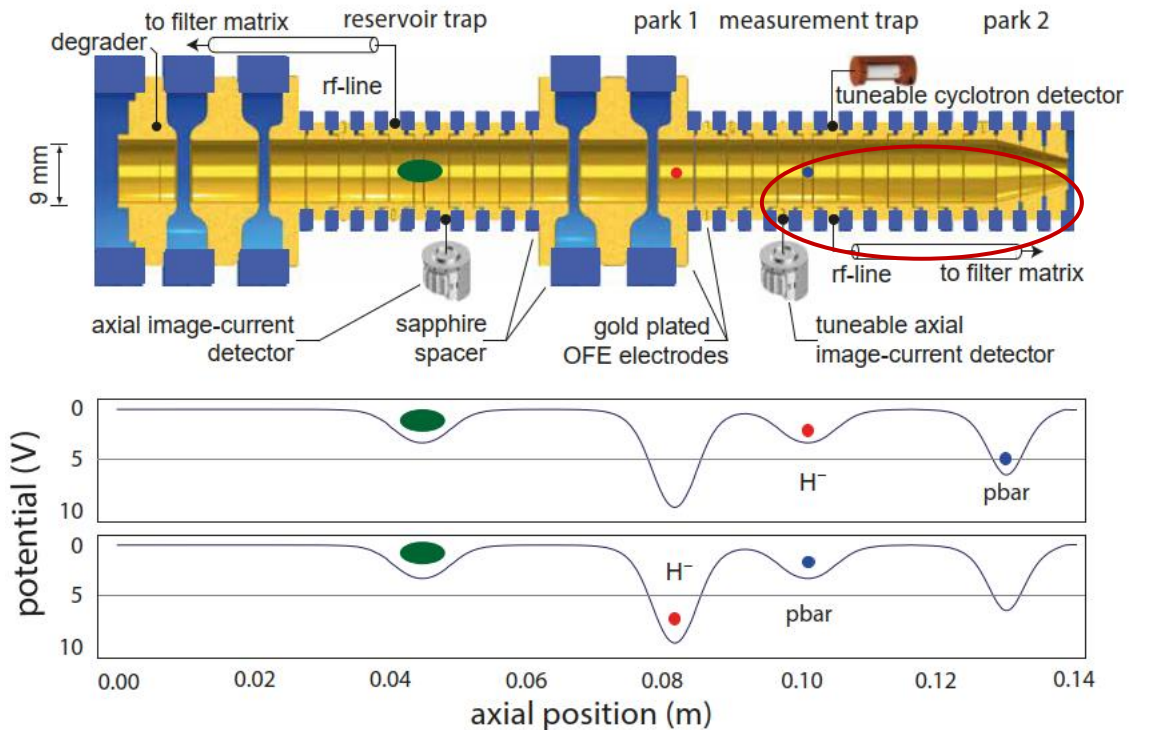
$$m_{H^-} = m_p \left(1 + 2 \frac{m_e}{m_p} - \frac{B_e}{m_p} - \frac{A_e}{m_p} + \alpha_{H^-} \frac{B^2}{m_p} \right)$$

B_e - binding energy of an electron in hydrogen

A_e - affinity energy of a second electron

Effect	Magnitude	
m_e/m_p	0.001 089 234 042 95 (5)	MPIK/HHU-D
$-B_e/m_p$	0.000 000 014 493 061 ...	MPQ
$-A_e/m_p$	0.000 000 000 803 81 (2)	Lykke

- Pioneered by BASE shuttling measurement method:



- In BASE one frequency ratio measurement takes 240 s, 50 times faster than in 1999.



Most precise test of CPT invariance in the baryon sector

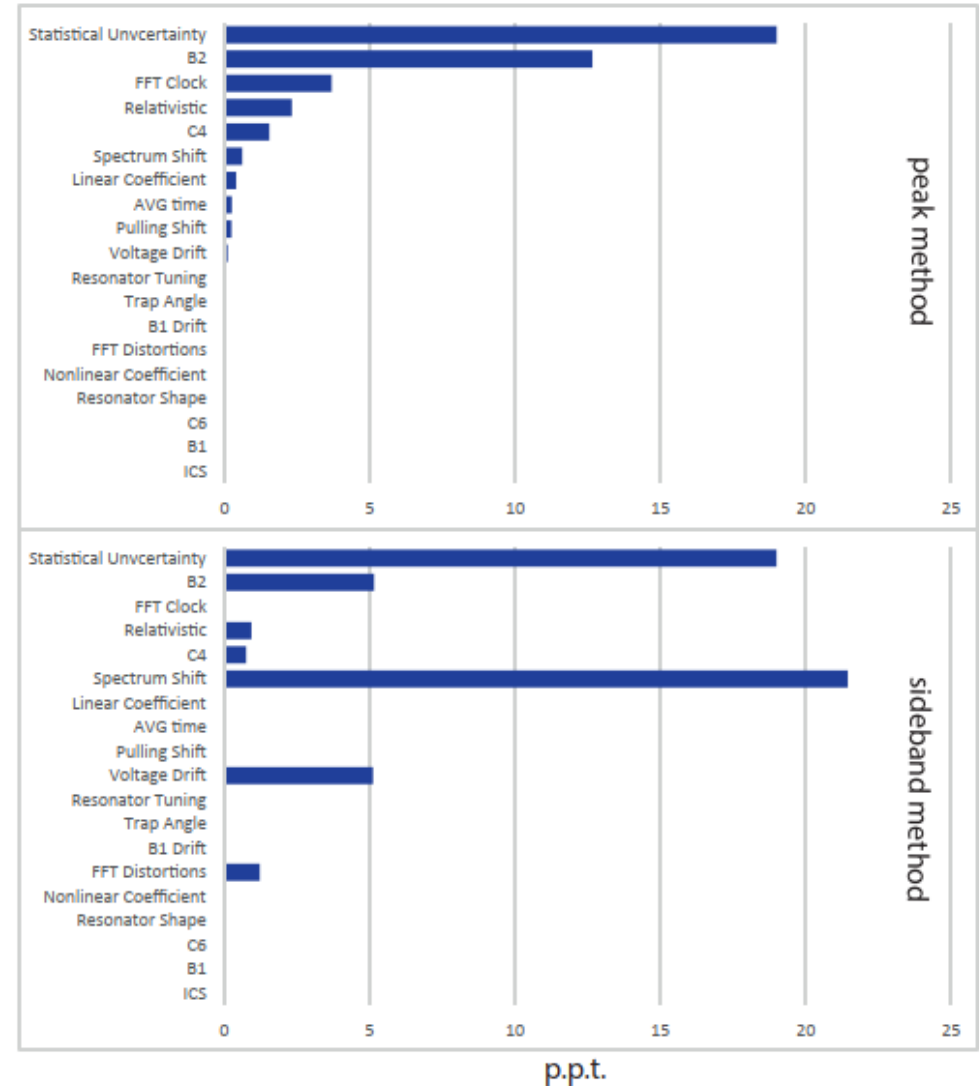
- 24 000 data points acquired in 4 measurement campaigns over 1.5 years. All in accelerator experimental hall!

Campaign	R_{exp}	$\sigma(R)_{stat}$	$\sigma(R)_{sys}$																													
2018-1-SB	1.001089218748	$27 * 10^{-12}$	$27 * 10^{-12}$																													
2018-2-SB	1.001089218727	$47 * 10^{-12}$	$49 * 10^{-12}$																													
2018-3-PK	1.001089218748	$19 * 10^{-12}$	$14 * 10^{-12}$																													
2018-1-SB	1.001089218781	$19 * 10^{-12}$	$23 * 10^{-12}$																													
Result	$R_{exp,p,\bar{p}} = -1.0000000000008(16)$																															
SME Limits	10^{-12}	10^{-9}	10^{-6}	10^{-3}																												
$ \delta\omega_c^{\bar{p}} - R_{\bar{p},p,exp}\delta\omega_c^p - 2R_{\bar{p},p,exp}\delta\omega_c^e < 1.96 \times 10^{-27} \text{ GeV}$																																
<table border="1"> <thead> <tr> <th>Coefficient</th> <th>Previous Limit</th> <th>Improved Limit</th> <th>Factor</th> </tr> </thead> <tbody> <tr> <td>\tilde{c}_e^{XX}</td> <td>$< 3.23 \cdot 10^{-14}$</td> <td>$< 7.79 \cdot 10^{-15}$</td> <td>4.14</td> </tr> <tr> <td>\tilde{c}_e^{YY}</td> <td>$< 3.23 \cdot 10^{-14}$</td> <td>$< 7.79 \cdot 10^{-15}$</td> <td>4.14</td> </tr> <tr> <td>\tilde{c}_e^{ZZ}</td> <td>$< 2.14 \cdot 10^{-14}$</td> <td>$< 4.96 \cdot 10^{-15}$</td> <td>4.31</td> </tr> <tr> <td>$\tilde{c}_p^{XX} , \tilde{c}_p^{*XX}$</td> <td>$< 1.19 \cdot 10^{-10}$</td> <td>$< 2.86 \cdot 10^{-11}$</td> <td>4.14</td> </tr> <tr> <td>$\tilde{c}_p^{YY} , \tilde{c}_p^{*YY}$</td> <td>$< 1.19 \cdot 10^{-10}$</td> <td>$< 2.86 \cdot 10^{-11}$</td> <td>4.14</td> </tr> <tr> <td>$\tilde{c}_p^{ZZ} , \tilde{c}_p^{*ZZ}$</td> <td>$< 7.85 \cdot 10^{-11}$</td> <td>$< 1.82 \cdot 10^{-11}$</td> <td>4.31</td> </tr> </tbody> </table>	Coefficient	Previous Limit	Improved Limit	Factor	$ \tilde{c}_e^{XX} $	$< 3.23 \cdot 10^{-14}$	$< 7.79 \cdot 10^{-15}$	4.14	$ \tilde{c}_e^{YY} $	$< 3.23 \cdot 10^{-14}$	$< 7.79 \cdot 10^{-15}$	4.14	$ \tilde{c}_e^{ZZ} $	$< 2.14 \cdot 10^{-14}$	$< 4.96 \cdot 10^{-15}$	4.31	$ \tilde{c}_p^{XX} , \tilde{c}_p^{*XX} $	$< 1.19 \cdot 10^{-10}$	$< 2.86 \cdot 10^{-11}$	4.14	$ \tilde{c}_p^{YY} , \tilde{c}_p^{*YY} $	$< 1.19 \cdot 10^{-10}$	$< 2.86 \cdot 10^{-11}$	4.14	$ \tilde{c}_p^{ZZ} , \tilde{c}_p^{*ZZ} $	$< 7.85 \cdot 10^{-11}$	$< 1.82 \cdot 10^{-11}$	4.31				
Coefficient	Previous Limit	Improved Limit	Factor																													
$ \tilde{c}_e^{XX} $	$< 3.23 \cdot 10^{-14}$	$< 7.79 \cdot 10^{-15}$	4.14																													
$ \tilde{c}_e^{YY} $	$< 3.23 \cdot 10^{-14}$	$< 7.79 \cdot 10^{-15}$	4.14																													
$ \tilde{c}_e^{ZZ} $	$< 2.14 \cdot 10^{-14}$	$< 4.96 \cdot 10^{-15}$	4.31																													
$ \tilde{c}_p^{XX} , \tilde{c}_p^{*XX} $	$< 1.19 \cdot 10^{-10}$	$< 2.86 \cdot 10^{-11}$	4.14																													
$ \tilde{c}_p^{YY} , \tilde{c}_p^{*YY} $	$< 1.19 \cdot 10^{-10}$	$< 2.86 \cdot 10^{-11}$	4.14																													
$ \tilde{c}_p^{ZZ} , \tilde{c}_p^{*ZZ} $	$< 7.85 \cdot 10^{-11}$	$< 1.82 \cdot 10^{-11}$	4.31																													

2015 (Nature 524 196 (2015))	2022 (Nature 601.7891 (2022): 53-57)
$R_{exp,p,\bar{p}} = -1.000\ 000\ 000\ 001\ (69)$	$-1.0000000000008(16)$

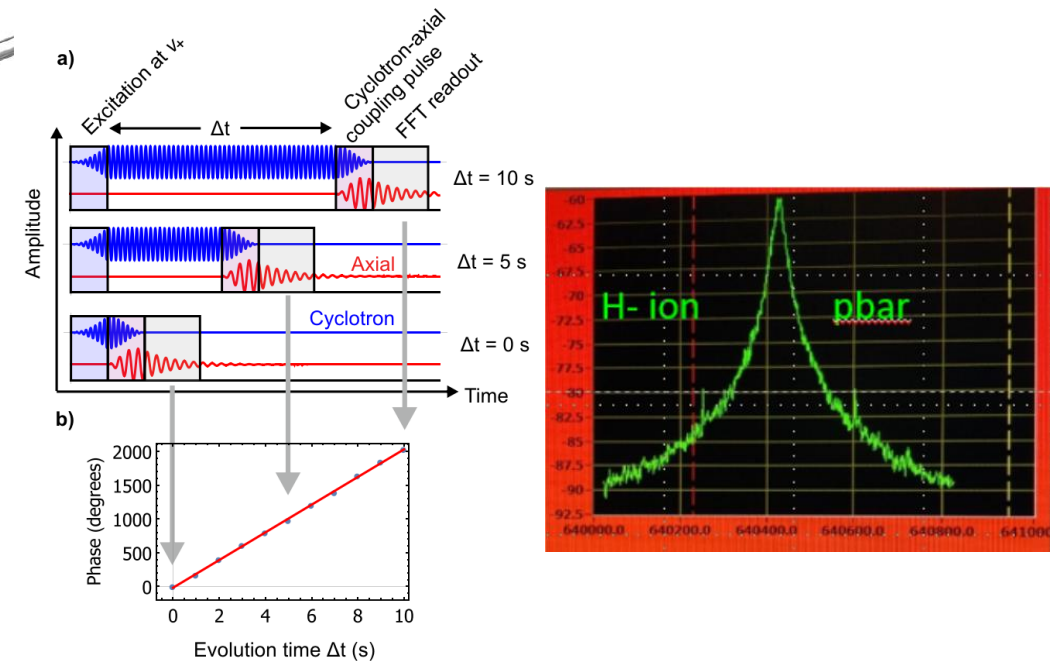
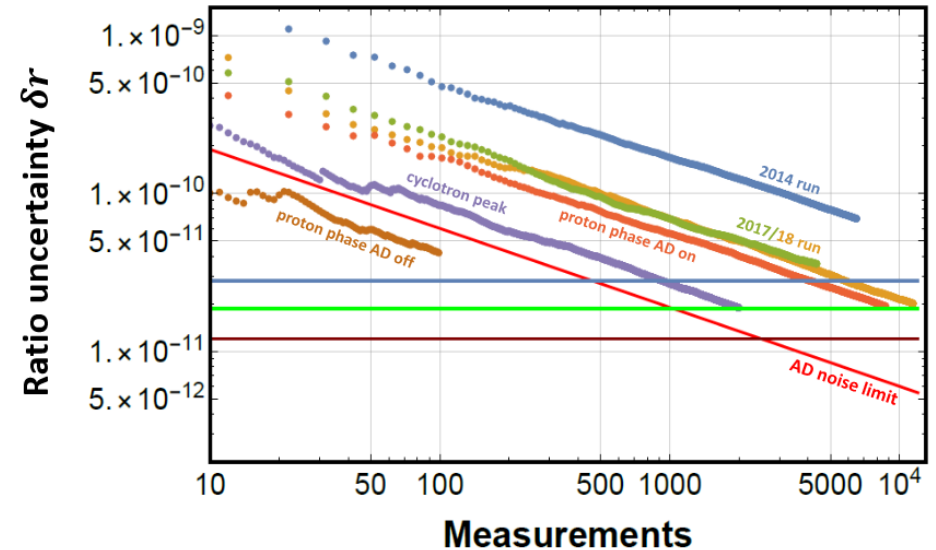
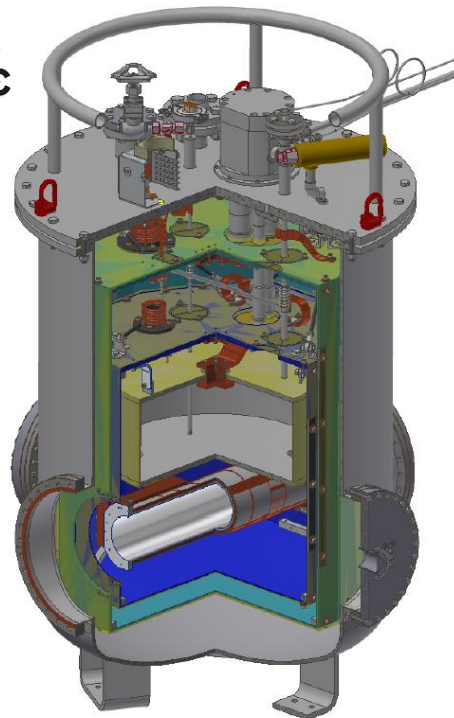
Systematic Effects and Result

Effect	2018-1-SB	2018-2-SB	2018-3-PK	2019-1-SB
B ₁ -shift	0.03(2)	0.01(2)	< (0.01)	< (0.01)
B ₂ -shift	20.27(14.86)	8.38(14.86)	10.79(12.66)	3.75(5.16)
C ₄ -shift	(1.12)	(1.13)	(1.54)	(0.76)
C ₆ -shift	< (0.01)	< (0.01)	< (0.01)	< (0.01)
Relativistic	1.20(92)	0.47(90)	1.90(2.32)	0.65(94)
Image charge shift	0.05(0)	0.05(0)	0.05(0)	0.05(0)
Trap misalignment	0.06(0)	0.06(0)	0.05(0)	0.05(0)
Voltage Drifts	-3.35(5.12)	-3.77(5.12)	-0.11(11)	-5.03(5.12)
Spectrum Shift	0.37(20.65)	16.89(46.49)	0.74(61)	-8.61(21.45)
FFT-Distortions	(1.57)	(3.48)	(0.03)	(1.23)
Resonator-Shape	0.02(3)	0.02(2)	< (0.01)	0.01(2)
B ₁ -drift offset	< (0.11)	< (0.11)	< (0.04)	< (0.04)
Resonator Tuning	< (0.16)	< (0.16)	< (0.06)	< (0.06)
Averaging Time	—	—	-2.87(25)	—
FFT Clock	—	—	(3.69)	—
Pulling Shift	—	—	2.86(24)	—
Linear Coefficient Shift	—	—	0.16(40)	—
Nonlinear Shift	—	—	0.03(2)	—
Systematic Shift	18.65(26.04)	22.11(49.22)	13.60(13.50)	-9.13(22.71)
R _{exp} - R _{theo}	13.02(27.12)	-5.04(46.57)	7.99(18.57)	18.34(18.89)
R _{exp,c} - R _{theo}	-5.63(37.60)	-27.15(67.76)	-5.61(22.66)	27.47(29.54)



Future perspective

1. Cyclotron frequency measurement with phase sensitive methods - **20 p.p.t. / 24h** , but **only possible during accelerator shutdown.**
2. Two particle method:
 - Moderately „simple” for mass measurements
 - Difficult for antiproton nuclear magnetic moment (for antiproton it is 658 times smaller then for electron!!!)
3. Magnetic noise in the accelerator hall:
If you can not switch off the accelerator...
Transport yourself out of the accelerator hall.



Weak Equivalence Principle Tests

- Single particle in a Penning trap -> **A cyclotron frequency clock.**
- Hughes and Holzschteier (PRL 66, 854 (1991)):

$$\frac{\nu_{c,\bar{p}} - \nu_{c,p}}{\nu_{c,avg}} = \frac{3\Phi}{c^2} (\alpha_g - 1)$$



where $\frac{\phi}{c^2} = \frac{GM}{rc^2} = 2.99 \times 10^{-5}$ is a potential of the local supergalactic cluster.
Then

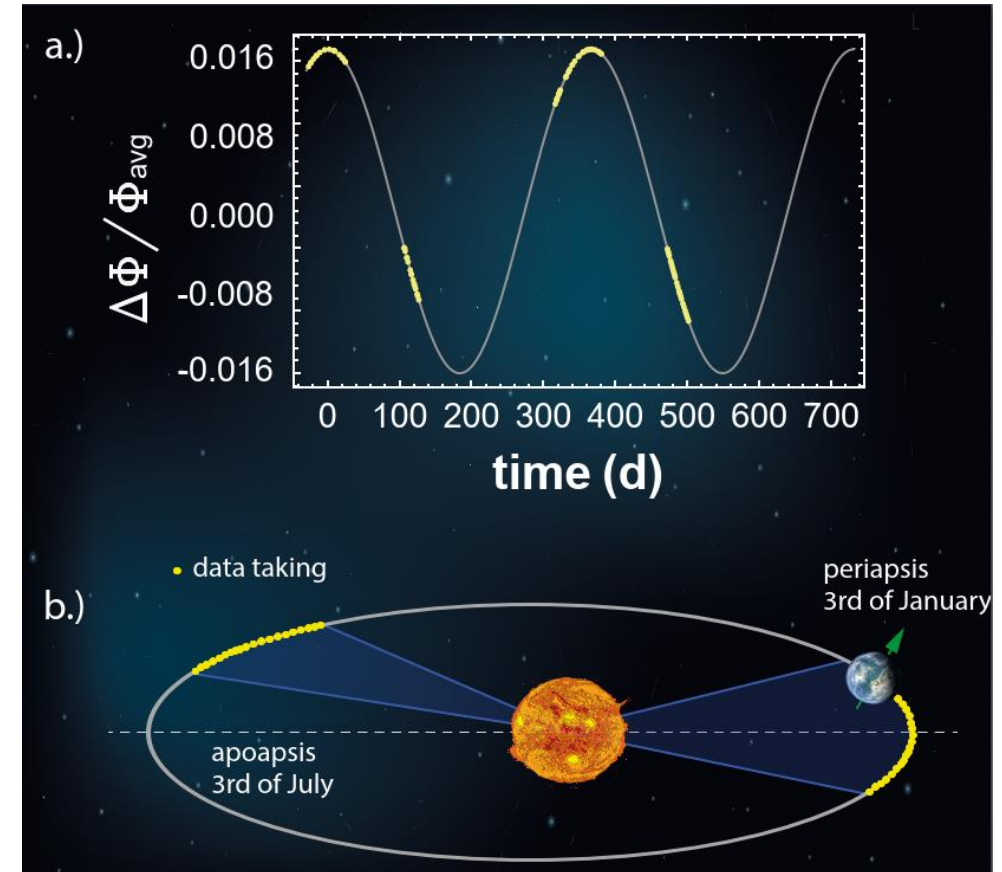
$$\alpha_g < 1.8 \times 10^{-7}.$$

- Differential analysis: $O(t) = D_p(1 - \varepsilon^2)/[1 + \varepsilon \cos\left(\left(\frac{2\pi}{t_{sid}}\right)t\right)]$

$$\frac{\Delta R(t)}{R_{avg}} = \frac{3\gamma M_{sun}}{c^2} (\alpha_{g,D} - 1) \left(\frac{1}{O(t)} - \frac{1}{O(t_0)} \right)$$

$$\alpha_{g,D} < 0.0301.$$

- Dedicated Antihydrogen Free Fall Experiments (ALPHA_g, AEGIS, GBAR): first anticipated precision at up to 1 %.

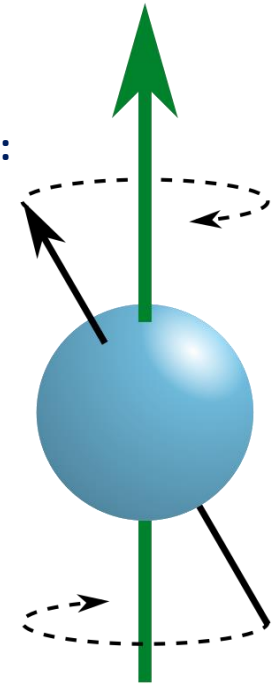
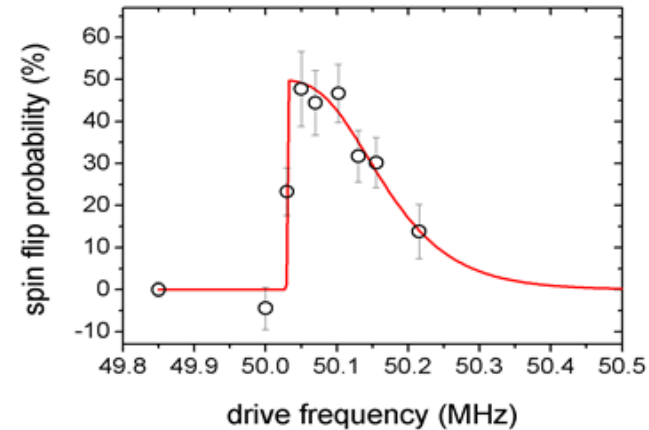


- Magnetic moment and a spin of a particle are related through a dimensionless parameter called g-factor:

$$\mu = g \frac{q}{2m} S \quad \Rightarrow \quad \mu = \frac{g}{2} \mu_N$$

- (Anti)Proton / electron spin $S = \frac{1}{2}$
- Larmor frequency – spin precession in a given magnetic field:

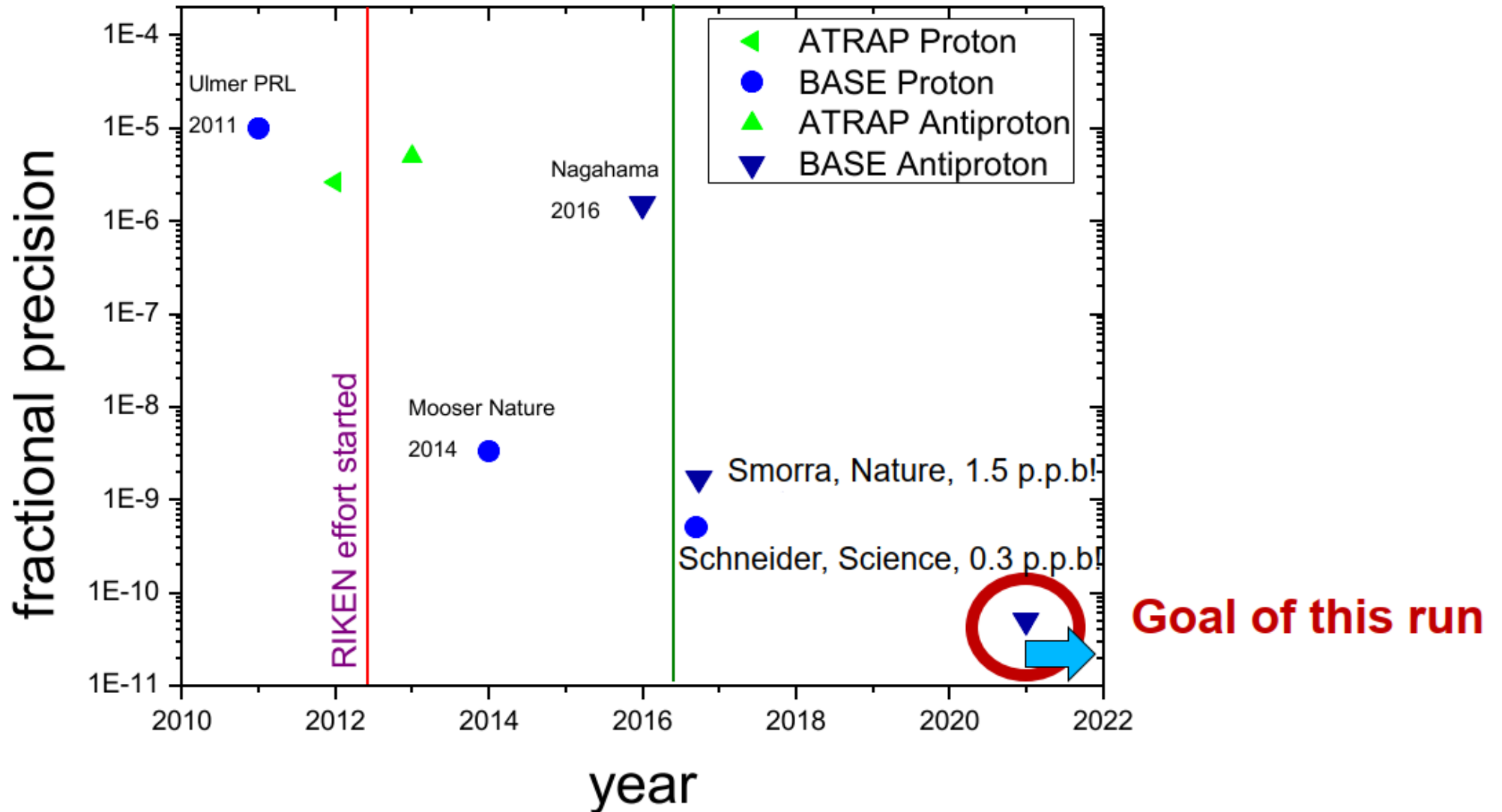
$$\omega_L = g \frac{e}{2m_p} B$$



- g factors:**

Particle	g-factor	Relative standard uncertainty
Electron	-2.00231930436256(35)	1.7×10^{-13}
Muon – (experiment-world-average-2021)	-2.002 331 84121(82)	4.1×10^{-10}
Proton	5.5856946893(16)	2.9×10^{-10}
Antiproton	5.5856946906(60)	1.5×10^{-9}

Goal – 10-fold improved measurement of the p bar moment



Spin flip detection

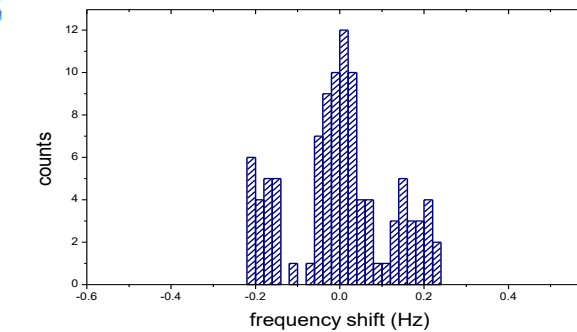
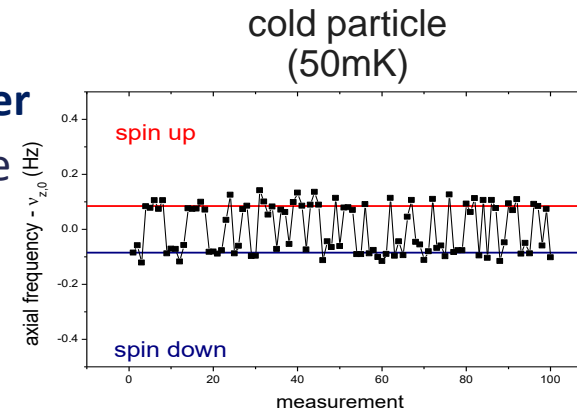
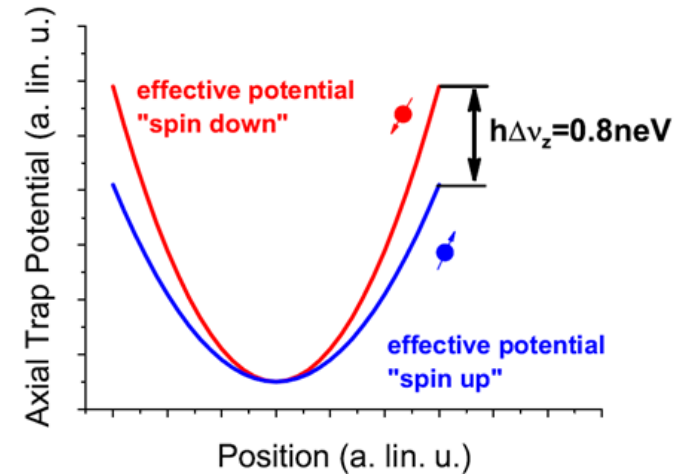
- Measurement based on continuous Stern Gerlach effect.
- Energy of magnetic dipole in magnetic field: $\Phi_M = -(\vec{\mu}_p \cdot \vec{B})$
- Leading order magnetic field correction: $B_z = B_0 + B_2 (z^2 - \frac{\rho^2}{2})$
- This term adds a spin dependent quadratic axial potential so **the Axial frequency becomes function of spin state**

$$\Delta\nu_z = |\vec{\mu}_+ + \vec{\mu}_- + \vec{\mu}_S| \times \frac{B_2}{4\pi^2 m_{\bar{p}} \nu_z}$$

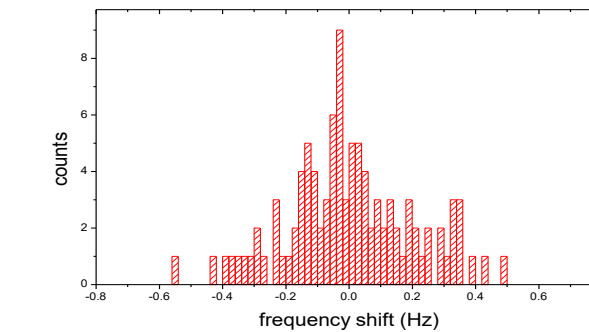
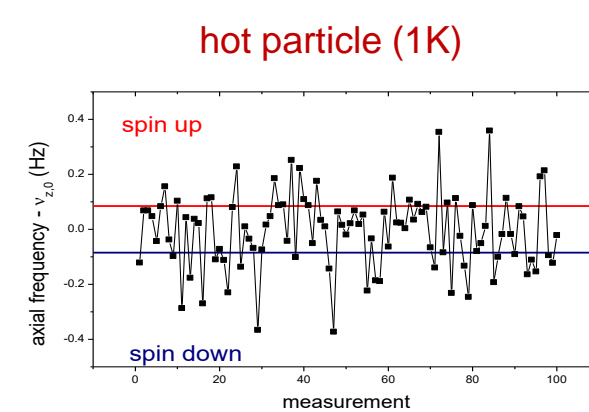
- The proton/antiproton magnetic moment it is **658 times smaller** than for electron ($\mu = g \frac{q}{2m} S$)!!! In order to resolve the change of the spin state we need extremely high B2 (axial frequency about 700 kHz):

$$B_2 \sim 300000 \text{ T/m}^2 \Rightarrow \Delta\nu_{z,SF} = \frac{\hbar\omega_L}{4\pi^2 m_{\bar{p}} \nu_z} \frac{B_2}{B_0} = 172(8) \text{ mHz}$$

- **Most extreme magnetic conditions ever applied to single particle.**
- One cyclotron quantum jump induce about $\sim 70\text{mHz}$ (70 neV) shift, while spin flip $\sim 170 \text{ mHz}$.



high-fidelity spin state resolution



fidelity at 65%, not useful for measurements

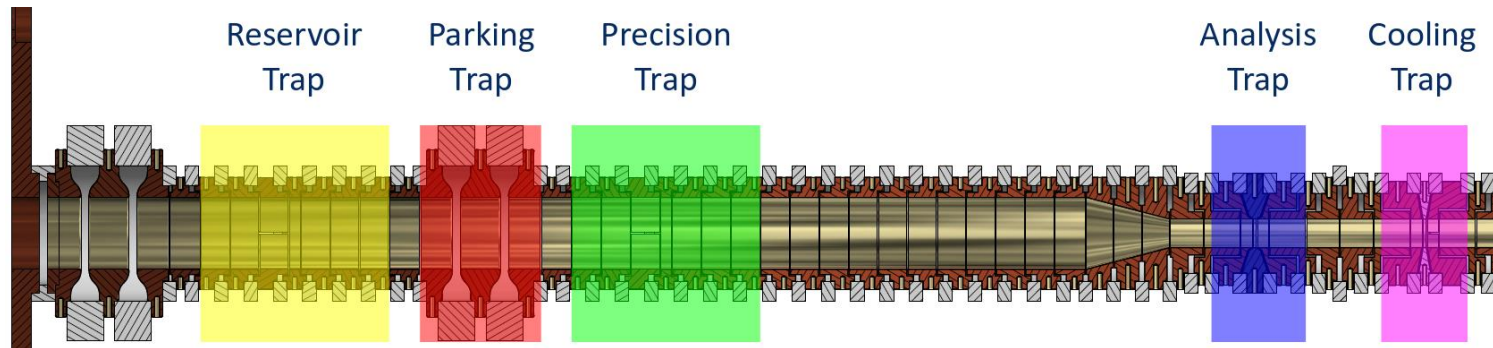
Antiproton magnetic moment measurement

- Larmor frequency measurement:

Analysis Trap - high B2 / Cold $\longrightarrow \nu_L = \frac{\mu_p}{\mu_N} = \frac{g_p}{2}$
Precision Trap - low B2 / Hot $\longrightarrow \nu_C$

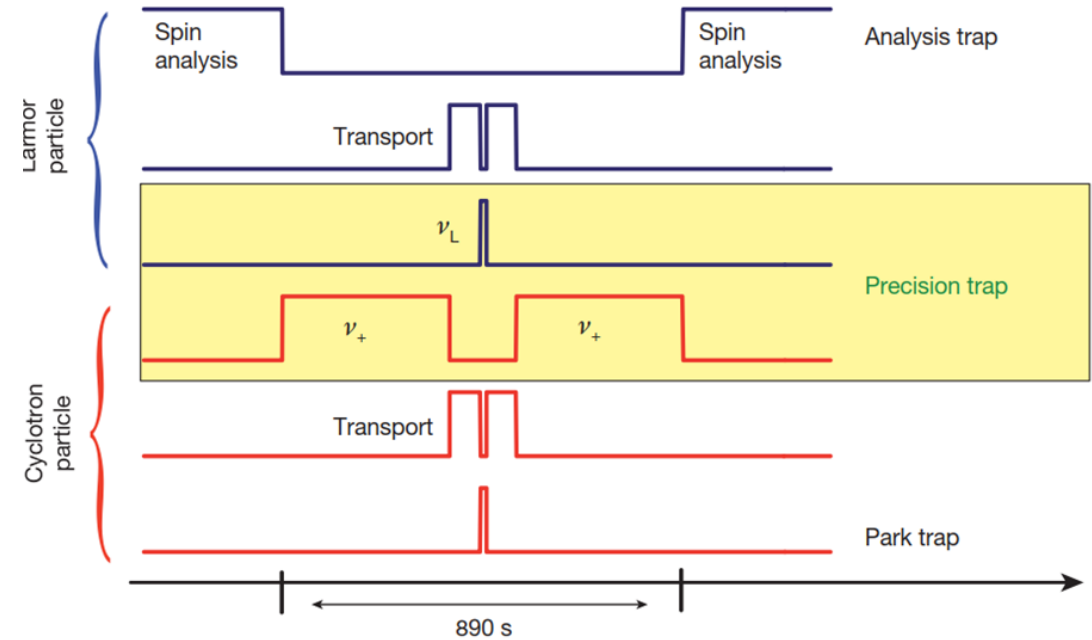
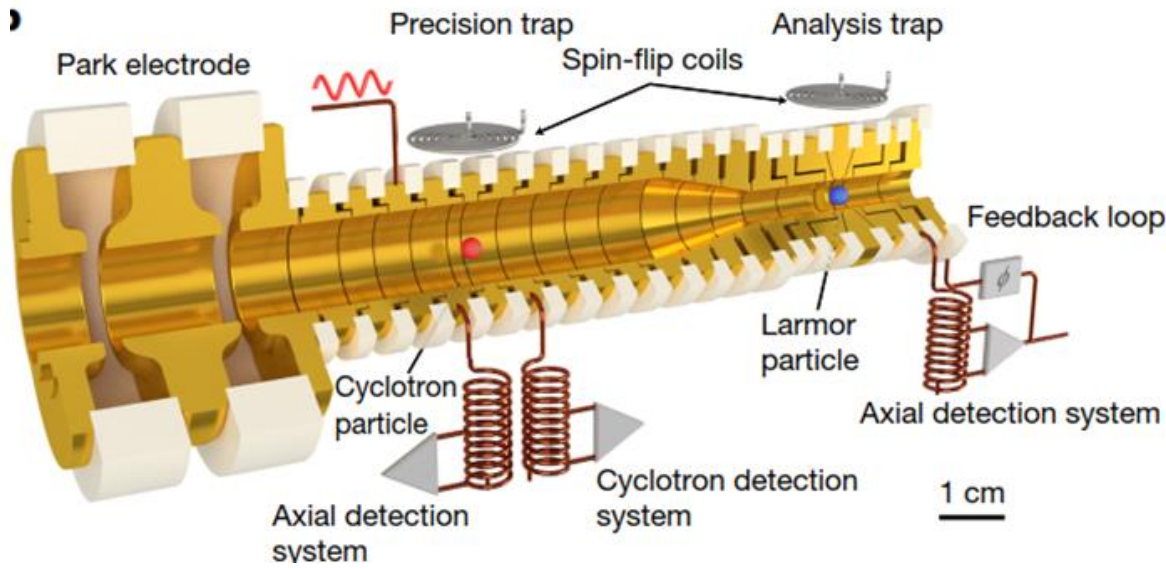
High B2? Low B2? How???

How can we cool antiprotons < 200 mK???



1.5 p.p.b. Antiproton magnetic moment measurement (2017)

- C. Smorra, Nature 550, 371-374 (2017)



Main systematic effects:

- different temperatures of particles probe different magnetic field

Goal: make more homogenous magnetic field and go back to a measurement with one particle (cooling!)

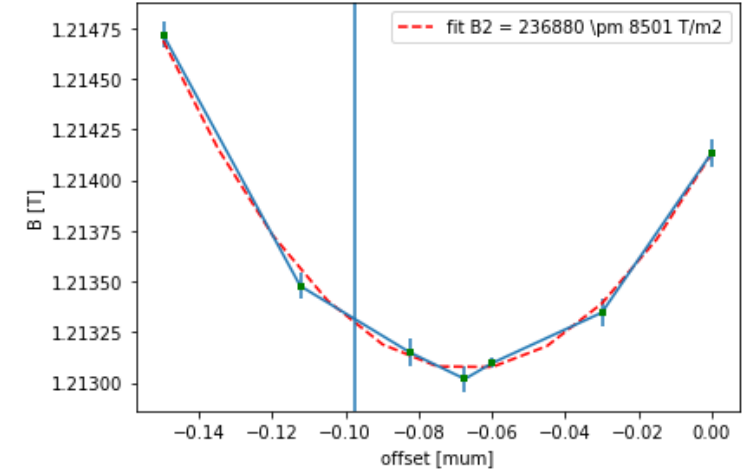
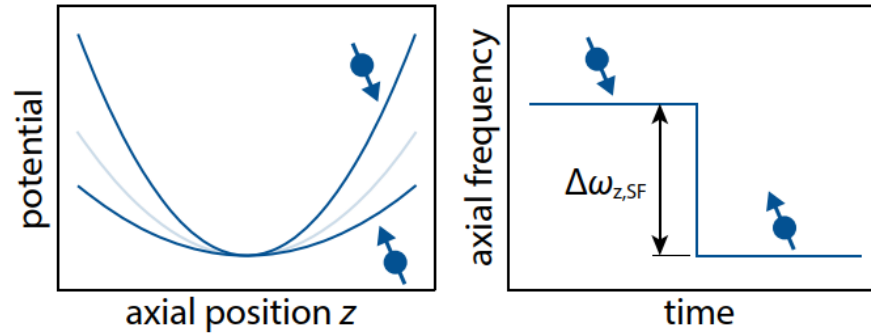
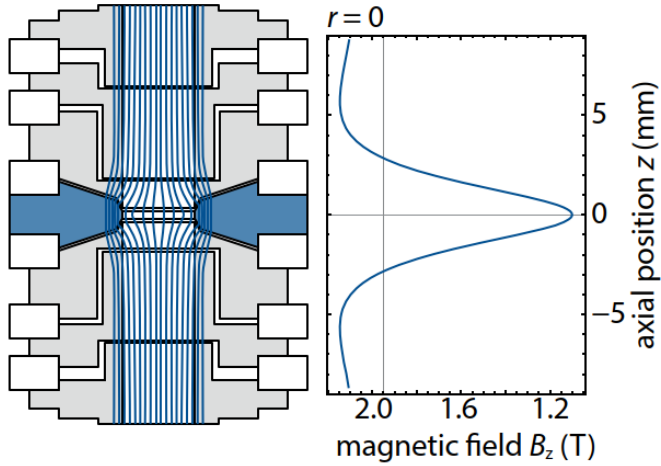
Improve this measurement by at least a factor of 10.

Table 1 | Error budget of the antiproton magnetic moment measurement

Effect	Correction (p.p.b.)	Uncertainty (p.p.b.)
Image-charge shift	0.05	0.001
Relativistic shift	0.03	0.003
Magnetic gradient	0.22	0.020
Magnetic bottle	0.12	0.009
Trap potential	-0.01	0.001
Voltage drift	0.04	0.020
Contaminants	0.00	0.280
Drive temperature	0.00	0.970
Spin-state analysis	0.00	0.130
Total systematic shift	0.44	1.020

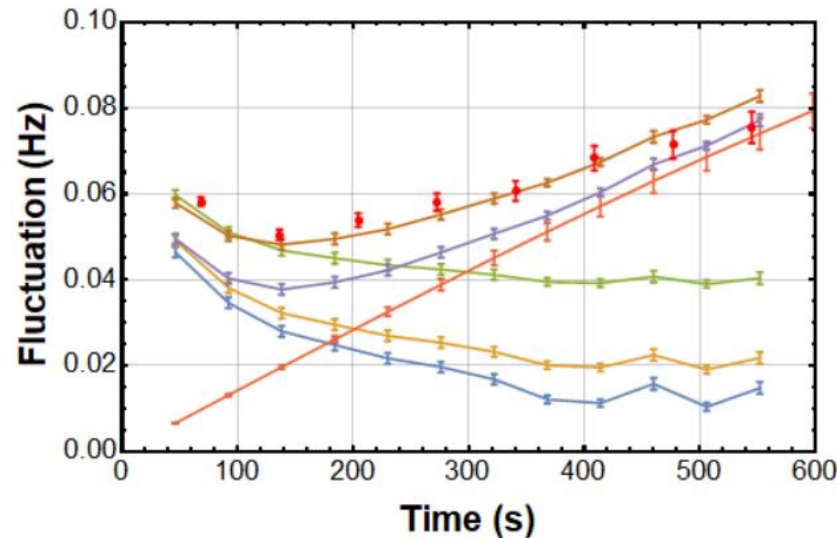
High B2 -Analysis Trap - frequency stability 2022

- Ferromagnetic ring electrode:



$$\omega_{z,SF} = \omega_z \pm \frac{\Delta\omega_{z,SF}}{2}$$

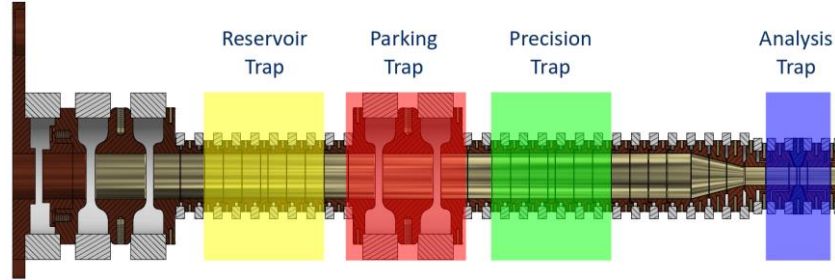
- Optimum frequency stability is at 45mHz, which corresponds to 650 μK or 60 neV energy resolution.



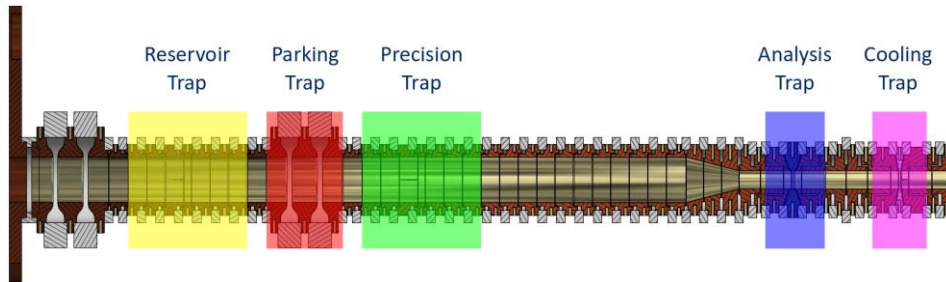
Low B2 - More homogenous magnetic field in the Precision Trap

- New trap with increased distance between the Precision (homogenous B) and Analysis trap (spin flip trap)

2017:

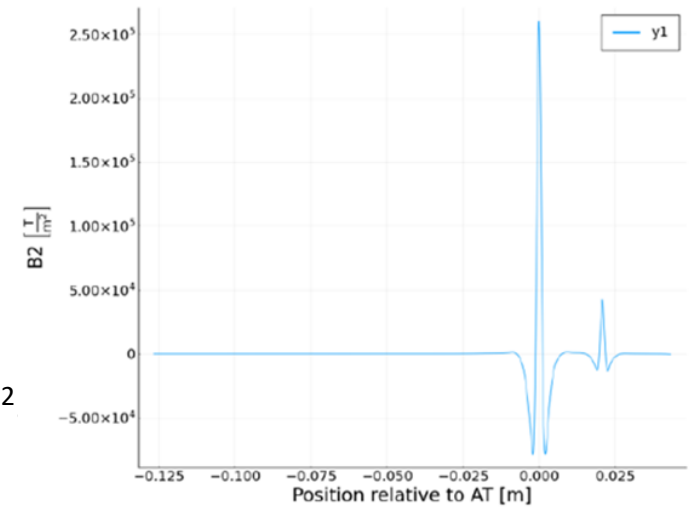


2021:



Precision Trap: Homogeneous field for frequency measurements, $B_2 < 0.5 / m^2$ (**10 x improved**).

Analysis Trap: Inhomogeneous field for the detection of antiproton spin flips, $B_2 = 300 \text{ mT} / mm^2$



- Residual magnetic field in the PT originating from AT magnetic bottle:

	2017	2021 residual
B1 (linear)	0.0712(4) T/m	0.0270(7) T/m
B2 (quadratic)	2.7(3) T/m ²	0.1298(8) T/m ²

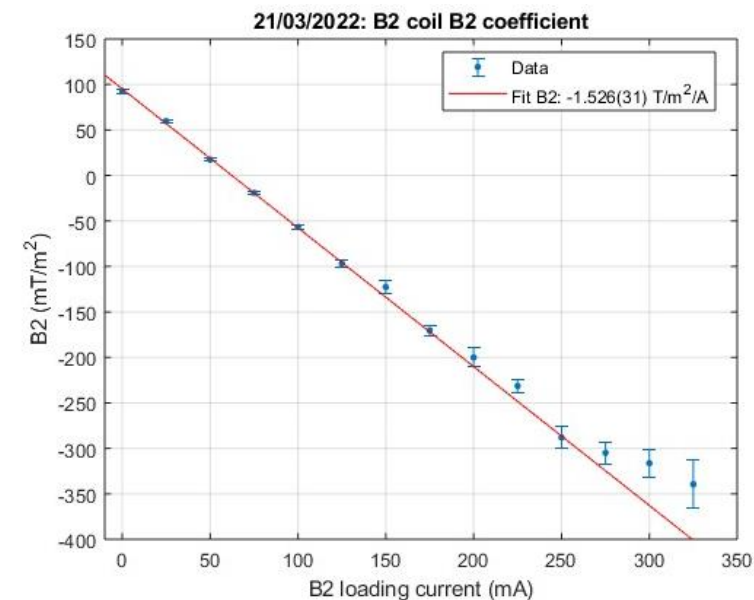
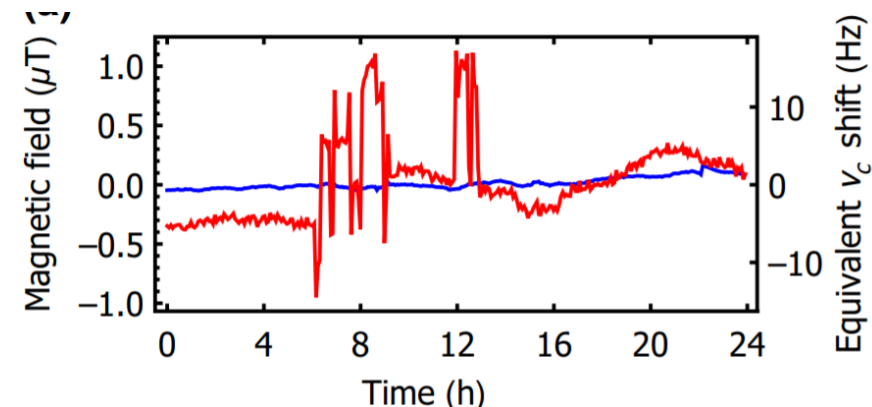
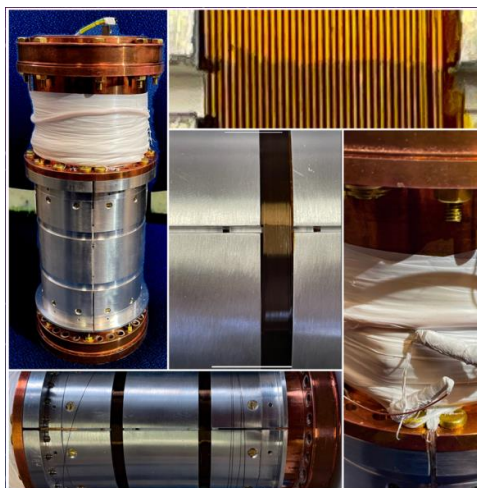
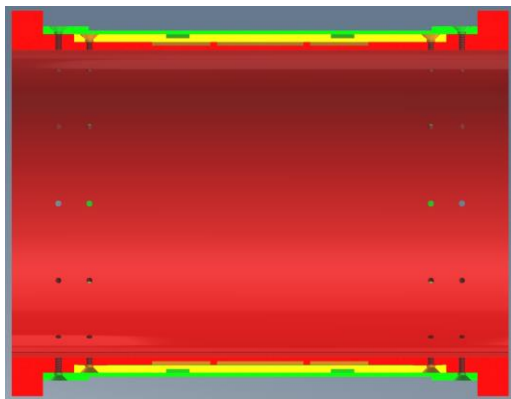
Reduces the dominant systematic shift of the 2017 measurement by a factor of 20 !

Low B2 - More homogenous magnetic field in the Precision Trap

- Idea:
 - Magnetic shielding** -> necessary to decrease fluctuations caused by the Antiproton Decelerator and other experiments.
 - In 2018 it suppressed the magnetic field fluctuations by up to 225(16).
 - Magnetic shimming**
 - a system of superconducting coils to compensate residual B2 and B1:
 - B0 coil to be able to change B2 and B1 without changing v_+ .

	2017	2021 residual	2022 *tuning
B1 (linear)	0.0712(4) T/m	0.0270(7) T/m	0.016 T/m
B2 (quadratic)	2.7(3) T/m ²	0.1298(8) T/m ²	0 (0.0003) T/m ²

Completely eliminates systematic shift of 2017 measurement!



Single antiproton cooling - Cooling Trap

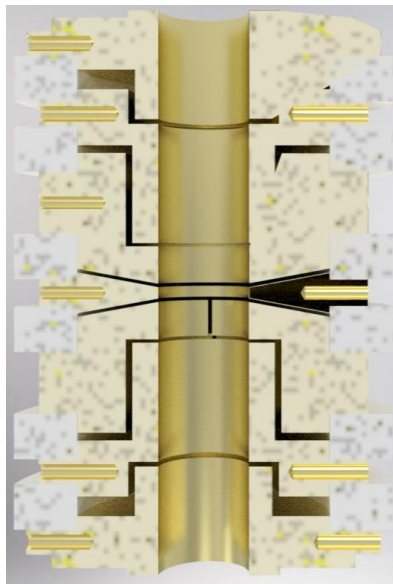
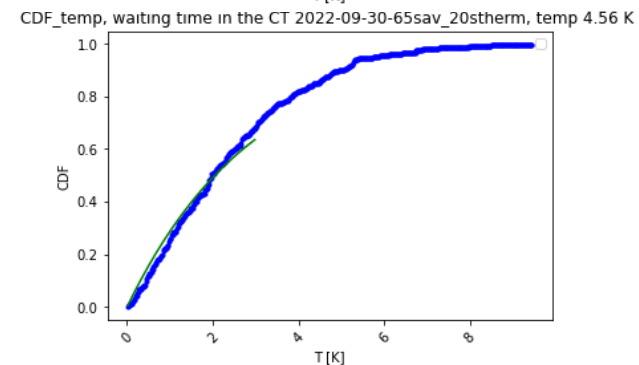
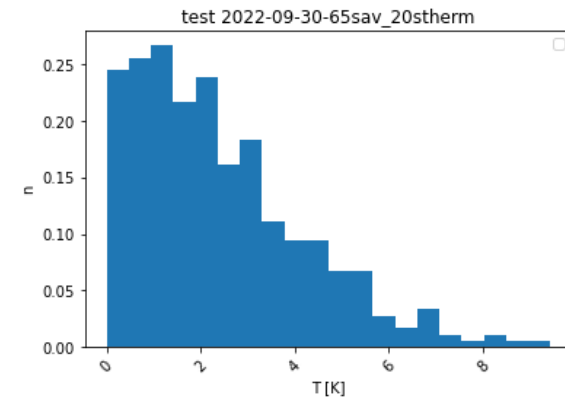
- **Resistive, subthermal cooling** – coupling of a particle to the dedicated cyclotron detector.

It's a stochastic process in which you probe the Boltzman distribution with a temperature corresponding to the temperature of the detector.

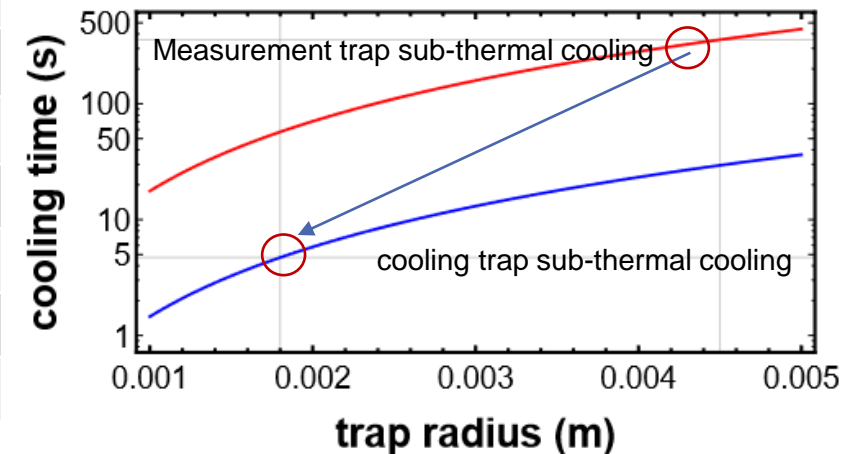
- Thermalisation constant:

$$\tau = \frac{m}{R_p} * \left(\frac{D_{eff}}{q} \right)^2$$

- **Implementation of a dedicated cooling trap with strong particle detector coupling, reduced detector temperature, high-performance detection resistor.**
- Optimize transport and readout time in single-particle temperature measurements.

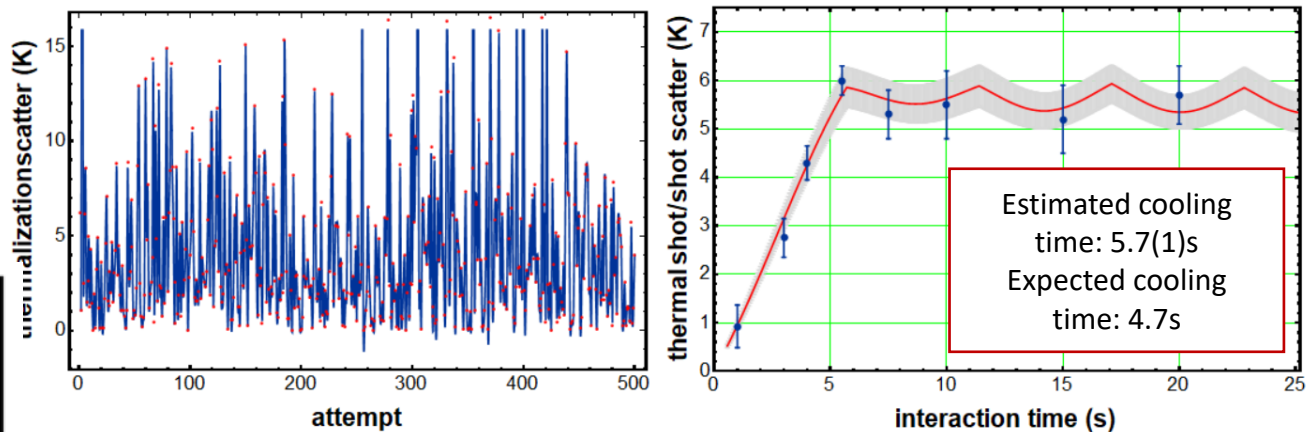
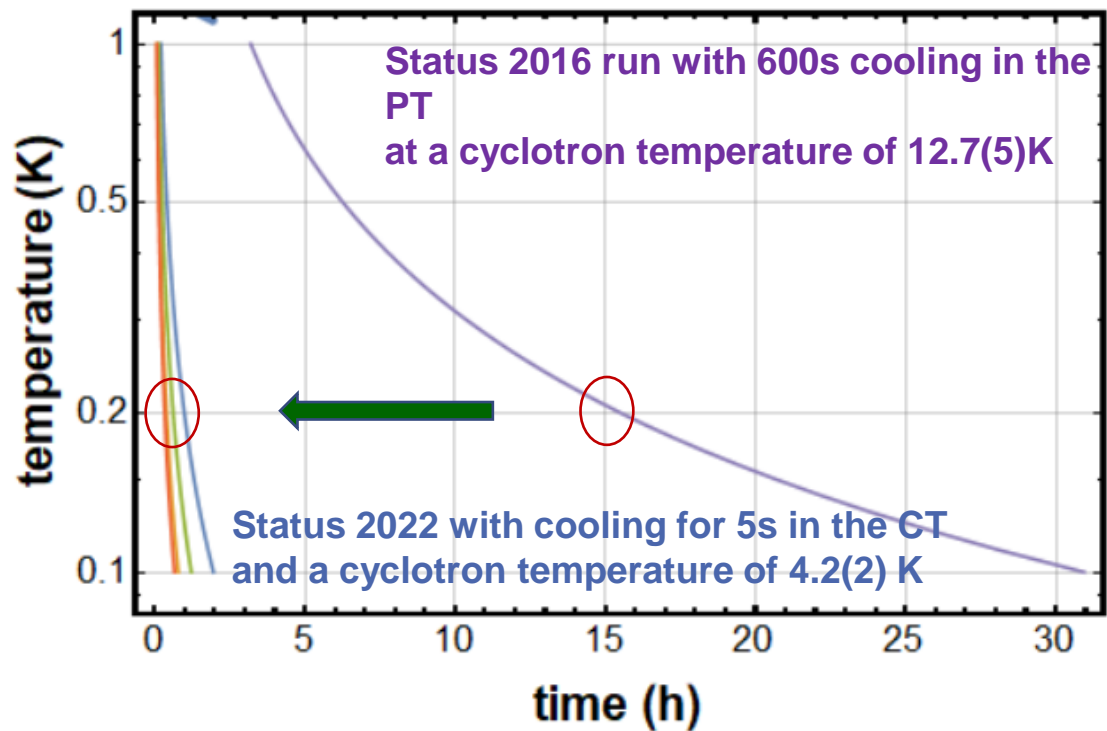


Parameter	2016 measurement (PT)	2022 measurement (CT)
detector temperature	12.8 K	4.2 K
detection Q	450	1250
R_p	75.000 Ω	360.000 Ω
pickup length (D_{eff})	21.5 mm	4.8 mm
thermalization time τ	370 s	4.2 s
Transport time	2 x 78 s	2 x 4.6 s
Readout time	64 s	16 s



Thermalization Time Optimization

- Use correlation estimates to determine optimum particle / detector coupling time.
 - Measure frequency scatter as a function of particle / detector interaction time

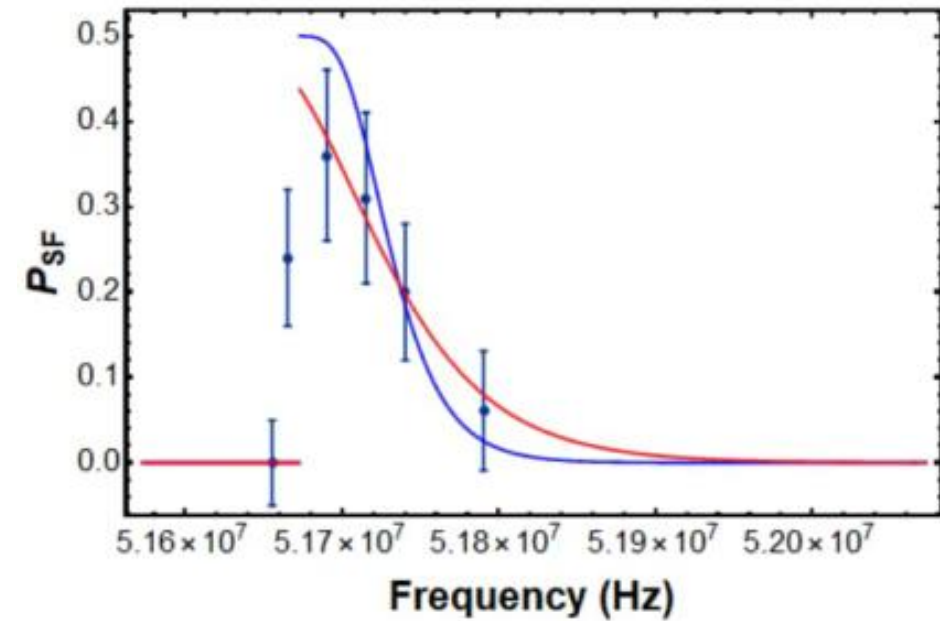
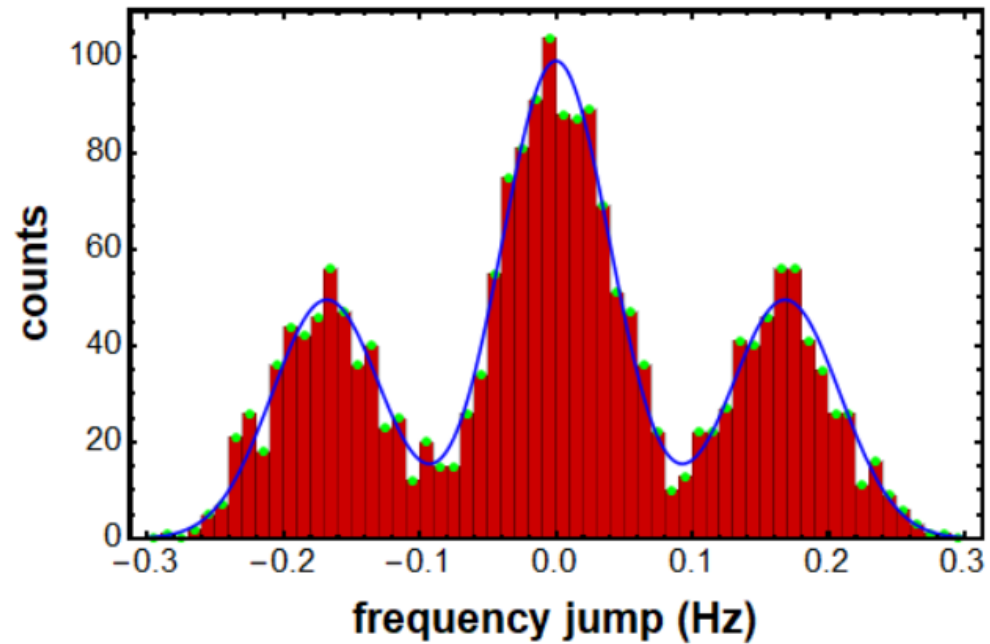


Item	2016	2022
Spec AVG	64s	16s
TP from AT	78 s	5 s
Thermalize	600 s	5 s
TP To AT	78 s	5 s
Single Cycle	820 s	31 s
Improvement Factor: 26		

- Three-fold temperature reduction gives additional factor of three in time reduction for particle preparation at given threshold.
- **Explicitly demonstrated:** robust 200mK particle preparation in 8 minutes.
- **Reduces particle preparation time from 15h to 8 minutes!!!**

Single Spin Flips in the Analysis Trap 2022

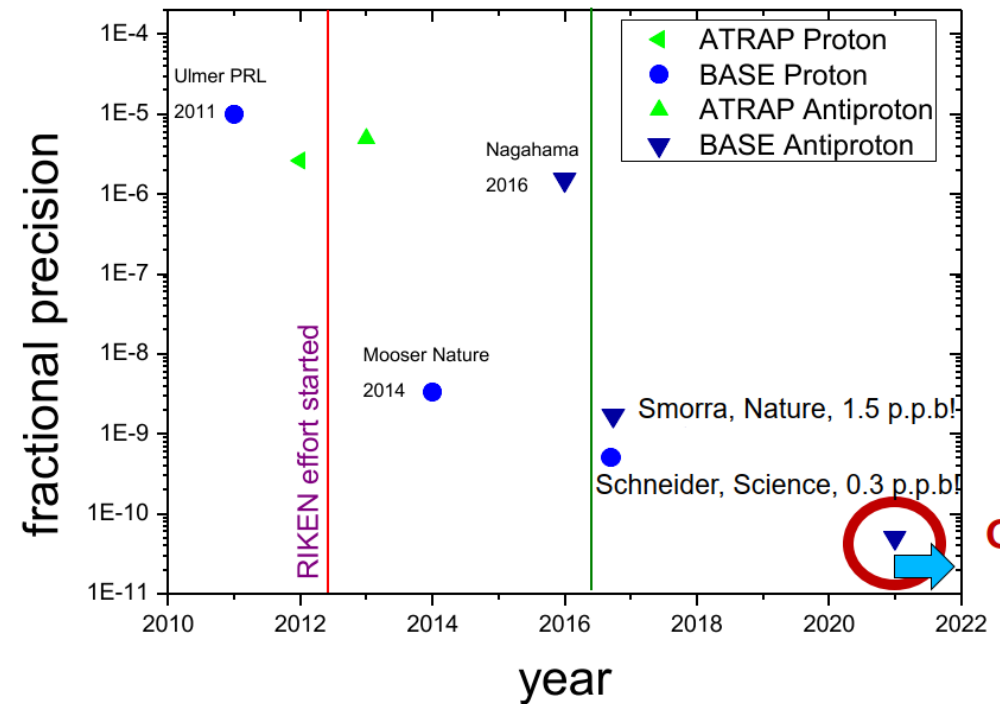
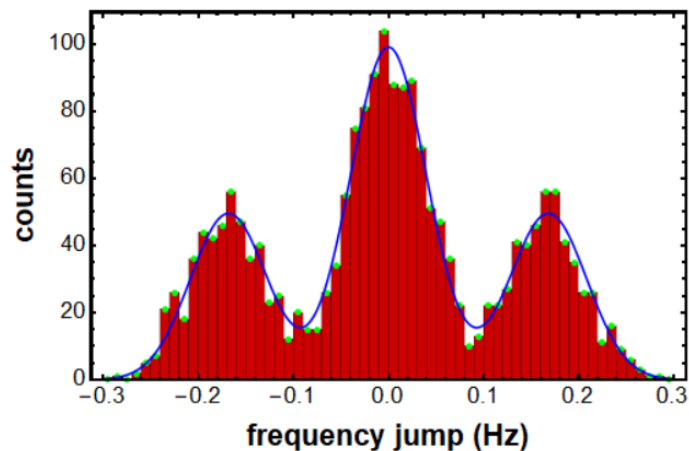
- **Single Spin Flip resolution!!!**
- **First Larmor frequency resonance in the AT this year:**



Status and Summary

- Working 1760 nm thick vacuum window which allows for catching 100 keV antiproton beam.
- Eliminated systematic error due to magnetic field inhomogeneity in Precision Trap.
- Improved cooling time from 15 h to 8 min
- Transport scatter between traps < 20 quanta per transport.
- Reached 45 mHz background frequency scatter.
- Detected single spin flips!

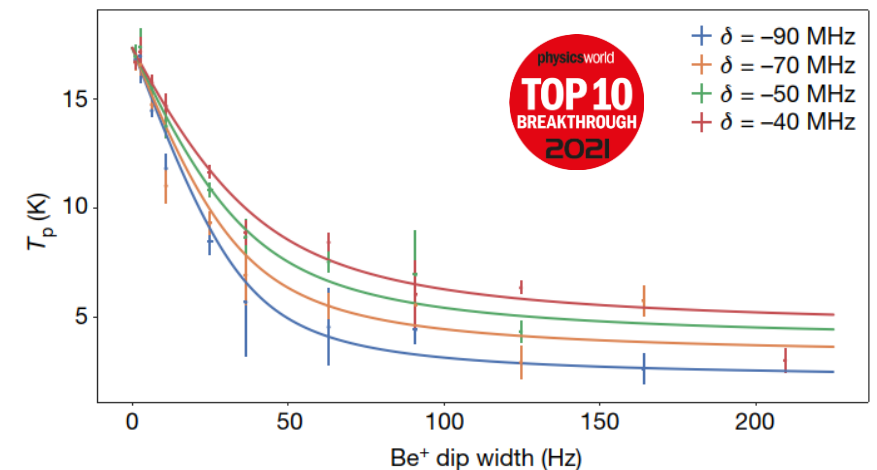
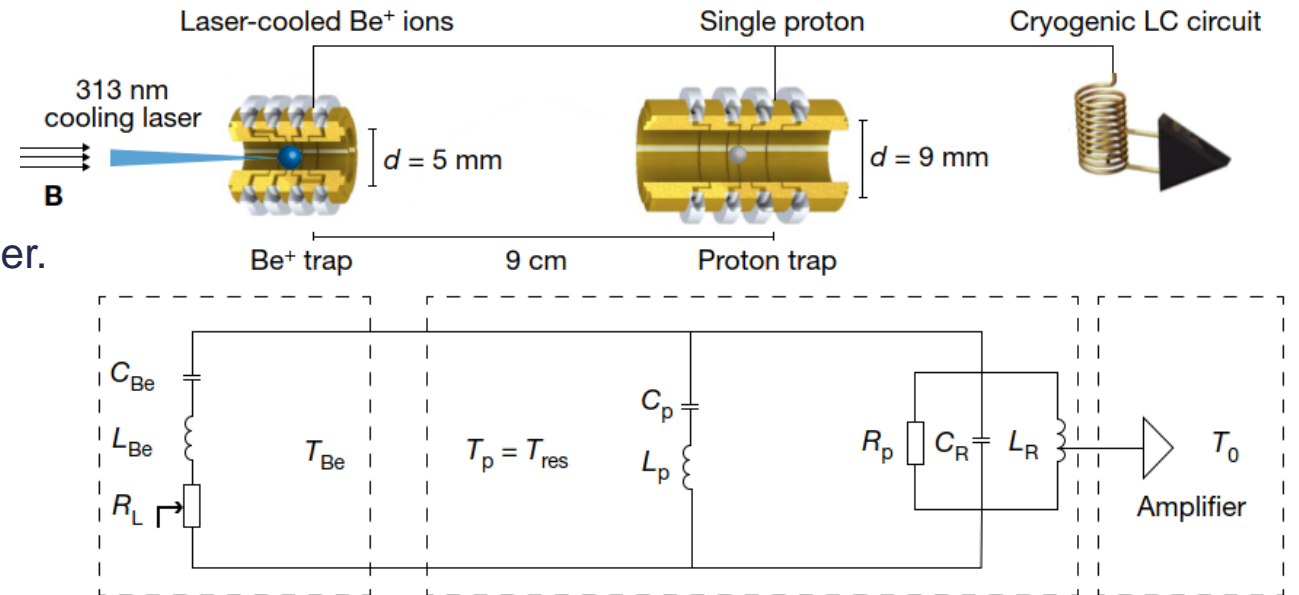
Ready to commission planned <100ppt proton and antiproton magnetic moment measurements...!!!



Goal of this run

Recent Achievements for the Future – Sympathetic Cooling

- Magnetic moment measurements are limited by particle temperature and would be considerably accelerated by inventing a method beyond resistive cooling.
- Method proposed by Wineland and Heinzen: Couple particles in different traps via image currents.
- Transfer particle temperatures from one trap to the other.
- **First proof of principle demonstration successful!!!**
M. Bohman et al., Nature **596**, 514 (2021)
- **Demonstrated proton temperature reduction by about a factor of 8.**
- New trap geometries under development for more efficient cooling.
- Simulations show that optimised procedures will enable **20 mK temperatures in 10 s.**



- New measurement of the antiproton-to-proton charge–mass ratio:

2015 (<i>Nature</i> 524 196 (2015))	2022 (<i>Nature</i> 601.7891 (2022): 53-57)
$R_{exp,p,\bar{p}} = -1.000\ 000\ 000\ 001\ (69)$	$-1.0000000000008(16)$

Factor of 4.3 improvement!!!

- **Now: New antiproton magnetic moment measurement with 10 times higher precision.**

- Main improvements:

	2017	2021 residual	2022 *tuning
B1 (linear)	0.0712(4) T/m	0.0270(7) T/m	0.016 T/m
B2 (quadratic)	2.7(3) T/m ²	0.1298(8) T/m ²	0 (0.0003) T/m ²

- New magnetic shielding and shimming system.

- Dedicated cooling trap with <200 mK particle preparation time of 8 min (factor of 110 faster!!!)

- New vacuum system.

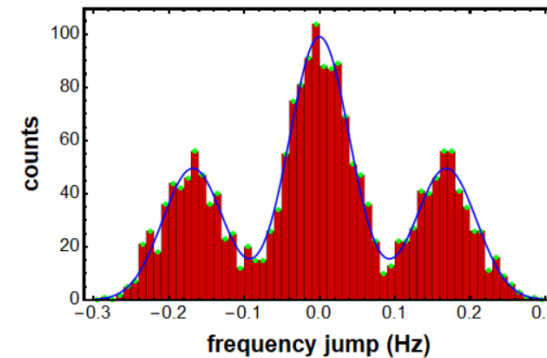
- 45 mHz frequency stability!!!

- Long term improvements:

- **Sympathetic cooling of protons/antiprotons.**

- **BASE STEP – transporting antiprotons outside the highly unstable antiproton decelerator hall.**

- **BASE CDM (Cold Dark Matter) – a competitive and compact solution for ALP searches.**



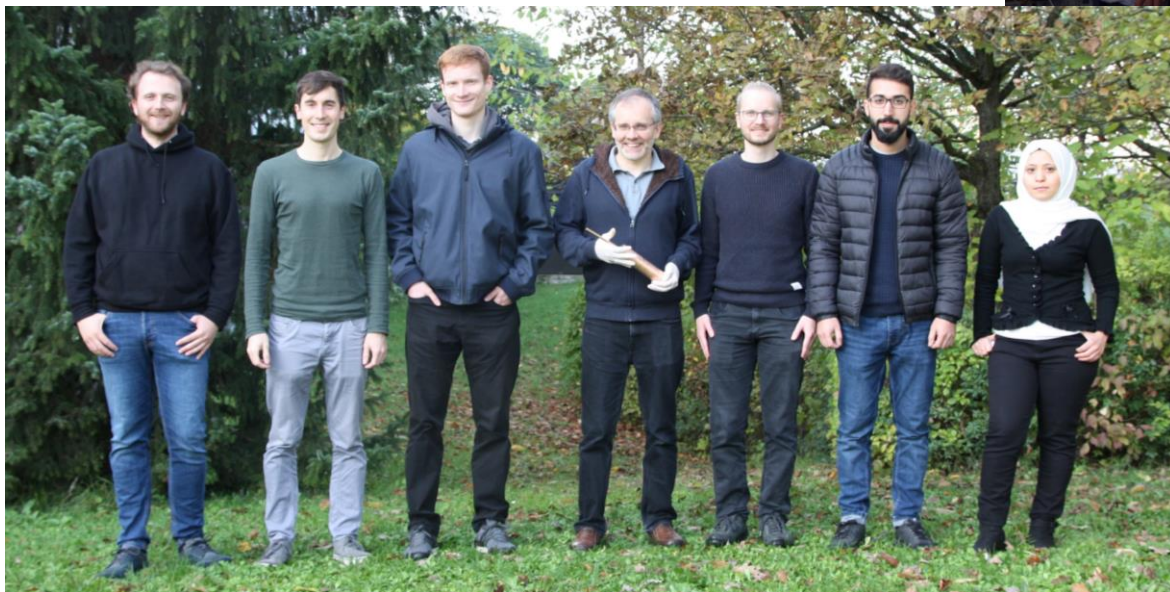
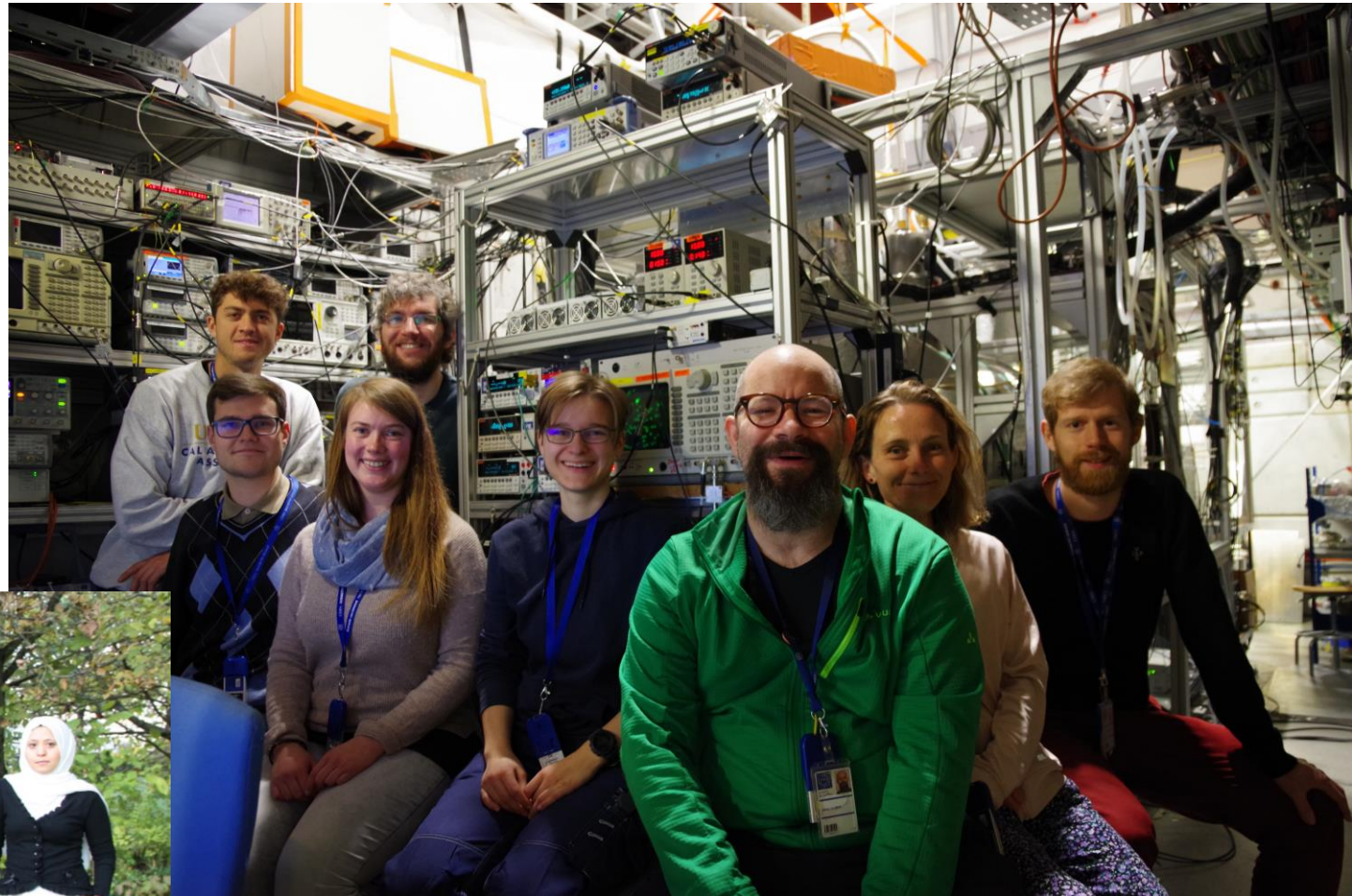
Thank you for your attention!



Heinrich Heine
Universität
Düsseldorf



MAX-PLANCK-GESELLSCHAFT



東京大学
THE UNIVERSITY OF TOKYO



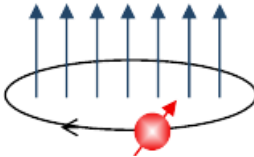
JOHANNES GUTENBERG
UNIVERSITÄT MAINZ

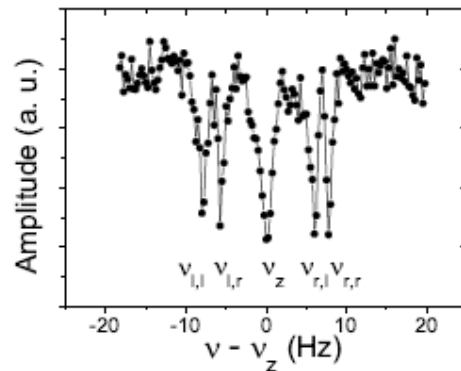


High precision mass spectroscopy

$$\frac{\nu_{c,\bar{p}}}{\nu_{c,p}} = \frac{e_{\bar{p}}/m_{\bar{p}}}{e_p/m_p}$$

Cyclotron Motion

$$\omega_c = \frac{e}{m_p} B$$


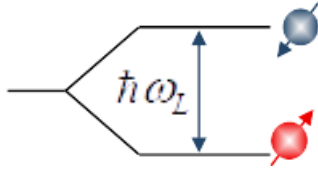


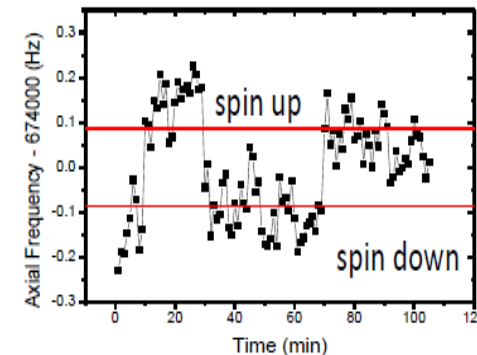
- A 16-parts-per-trillion measurement of the antiproton-to-proton charge–mass ratio, Nature 601.7891 (2022): 53-57.

High precision magnetic moment measurements

$$\frac{\nu_L}{\nu_C} = \frac{\mu_p}{\mu_N} = \frac{g_p}{2}$$

Larmor Precession

$$\omega_L = g \frac{e}{2m_p} B$$


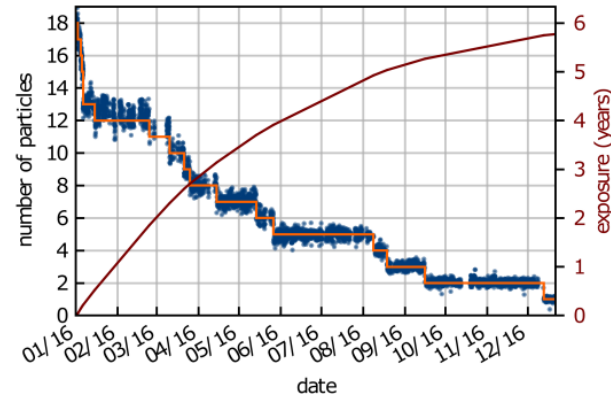
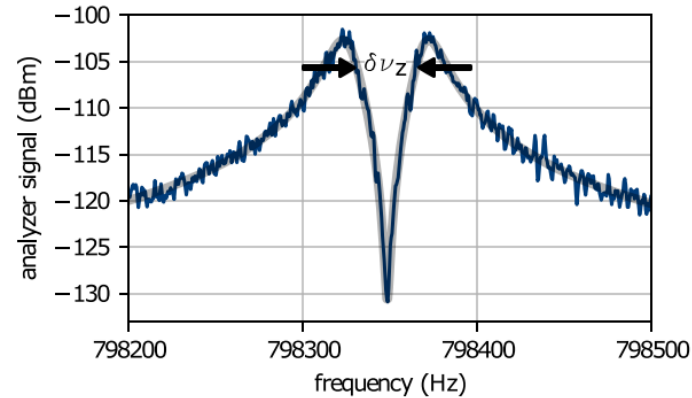


- 1.5 p.p.b. Measurement of antiproton magnetic moment, Nature 550, 371-374 (2017)

Antiproton Storage

- **Reservoir trap** – a dedicated trap to store a cloud of antiprotons.
- We continuously record the number of particles trapped in the reservoir trap:

$$\Delta \nu = \frac{1}{2\pi} \frac{R}{m} \left(\frac{q}{D} \right)^2 \cdot N$$

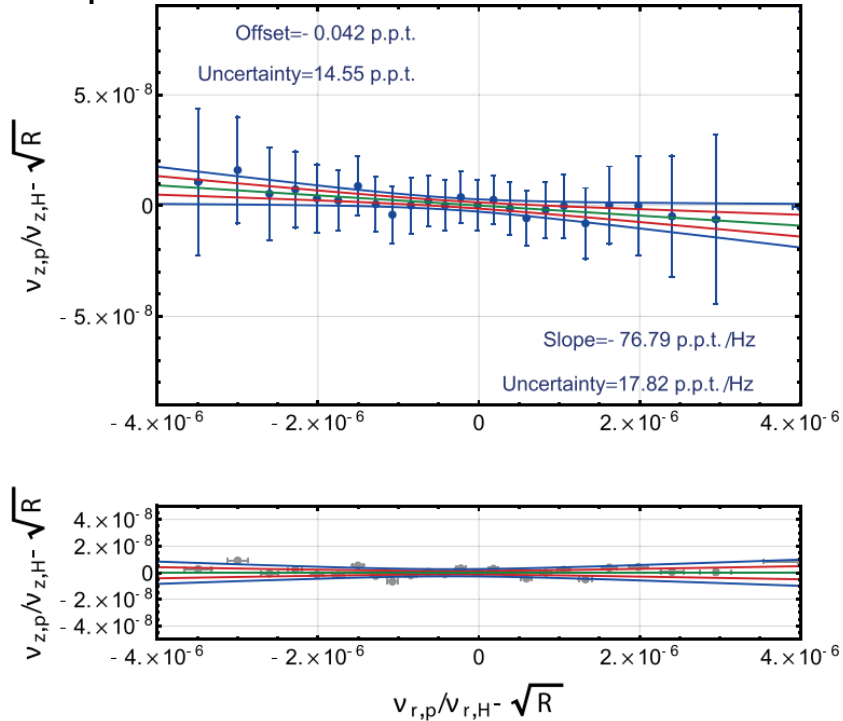


- **The record for storing of antimatter (antiprotons): 405 days.**
- S. Sellner, et al. Improved limit on the directly measured antiproton lifetime. New Journal of Physics, 19(8):083023, August 2017.

$$\tau_{\text{lower}, \bar{p}} = 26.15 \text{ a}$$

Dominant Systematic Limitations

- Lineshape Shift



- Scaling of particle frequency with respect to frequency center of the detection resonator leads to frequency dependent shift of the measured frequency ratio.

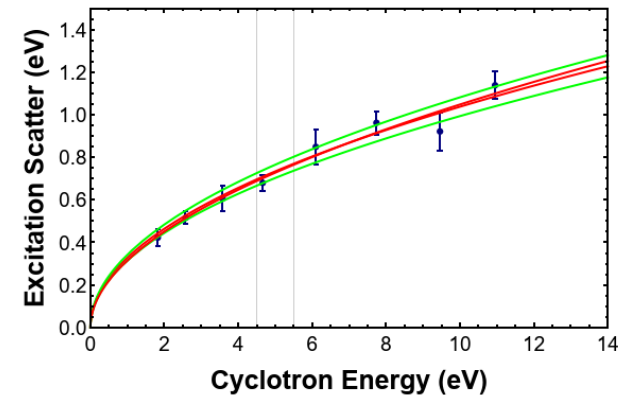
- Main improvements for 2018/2019 measurement campaigns:

- Improved magnetic field homogeneity
- Improved magnetic shielding
- Tuneable superconducting detector - measurements at constant trapping potential for different masses

- Temperature Shifts

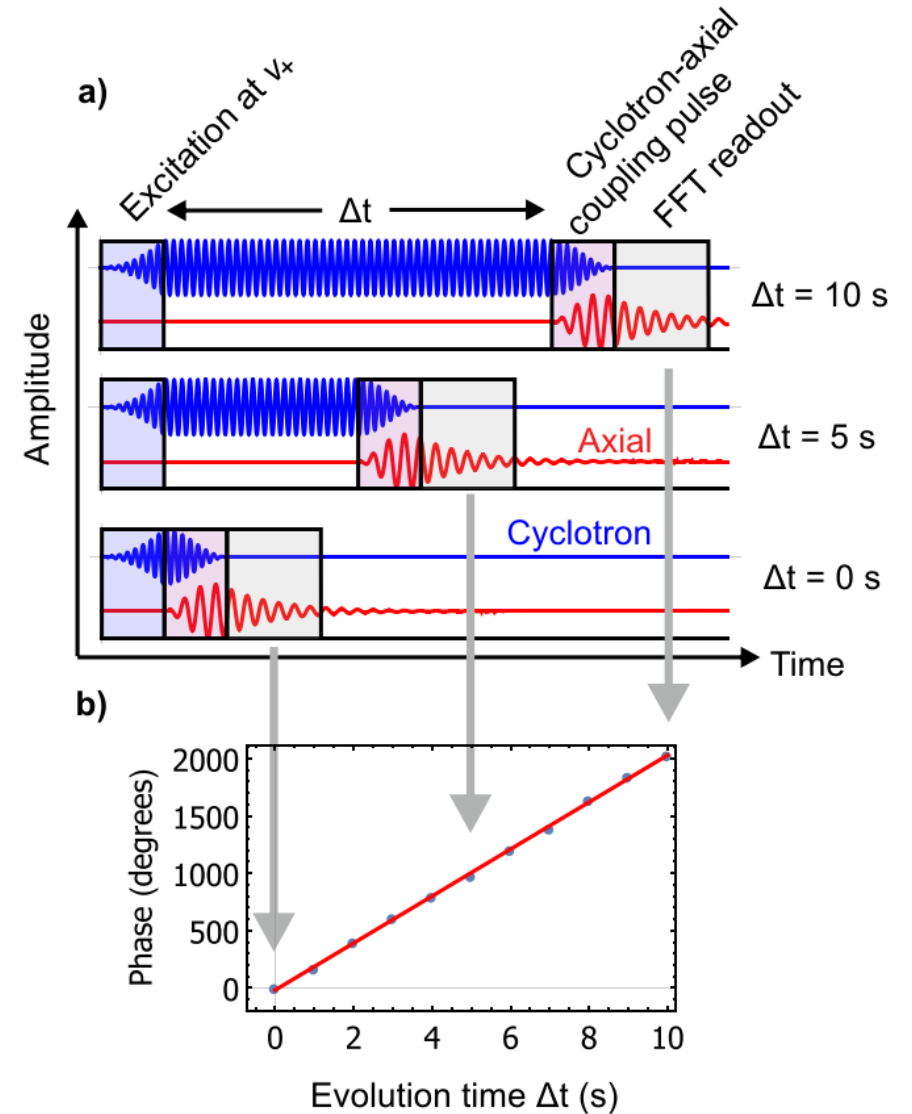
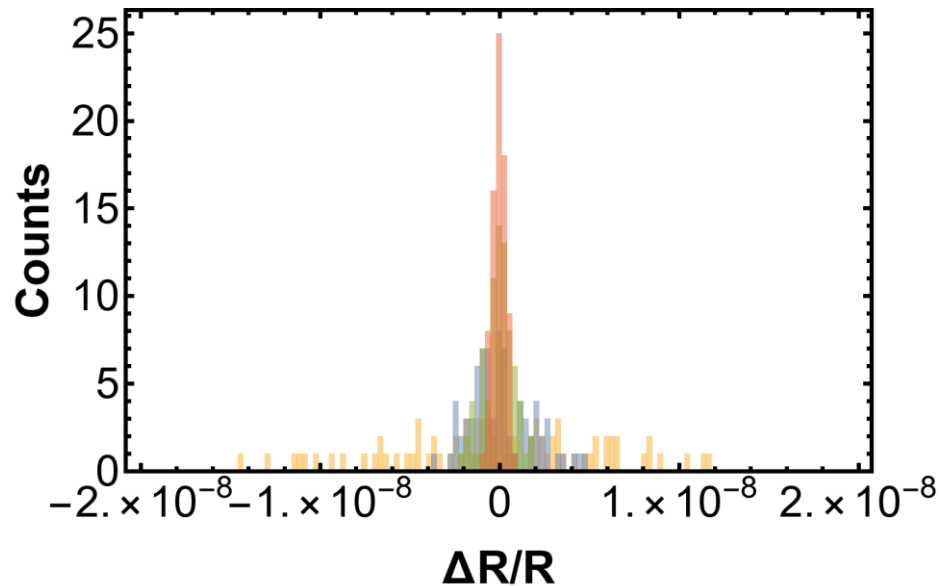
$$\frac{\Delta v_c}{v_c} = \frac{v_+}{v_c^2} \Delta v + \frac{v_z}{v_c^2} \Delta v_z \approx \frac{1}{4\pi^2 m_0 v_z^2} \frac{B_2}{B_0} k_B T_z = -23.5(1.5) \frac{\text{p.p.t.}}{\text{K}},$$

$$E(t) = \left(\frac{1}{2} \frac{qE_0}{m} * t + \rho_{0,th} \right)^2 = E_{exc} + 2\sqrt{E_{th}}\sqrt{E_{exc}} + E_{th}$$



Cyclotron frequency measurement

- In 2019, we implemented a new phase method with which we reached even the frequency scatters for protons on the order of 280(20) p.p.t. at a shot-to-shot sampling rate of 1/(265 s)
- **20 p.p.t. / 24h , but only possible during accelerator shutdown**
- Eric A. Cornell, et al. PRL, 63(16):1674–1677, 1989.
Sven Sturm, et al. PRL, 107(14):143003, September 2011.

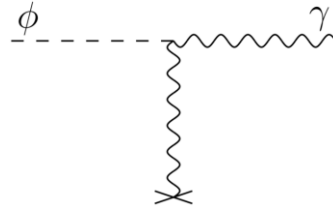


New Axion-like particle detection method

- Axion Like Particles - ALPs:**

→ pseudoscalar bosons weakly interacting with matter motivated by many beyond the standard model theories

→ coupling to photons by derivative interactions $g_{a\gamma}$ through e.g. inverse Primakoff Effect.



Mass $m_a \ll 1$ eV (e- mass = 0.5 MeV!)

- J. A. Devlin et al.** (BASE Collaboration), PRL 126, 041301 (2021).

- Any low mass ALP would form a classical field oscillating with frequency:

$$\nu_a \approx m_a c^2 / h$$

- Coupling of ALP field to **E** and **B** fields:

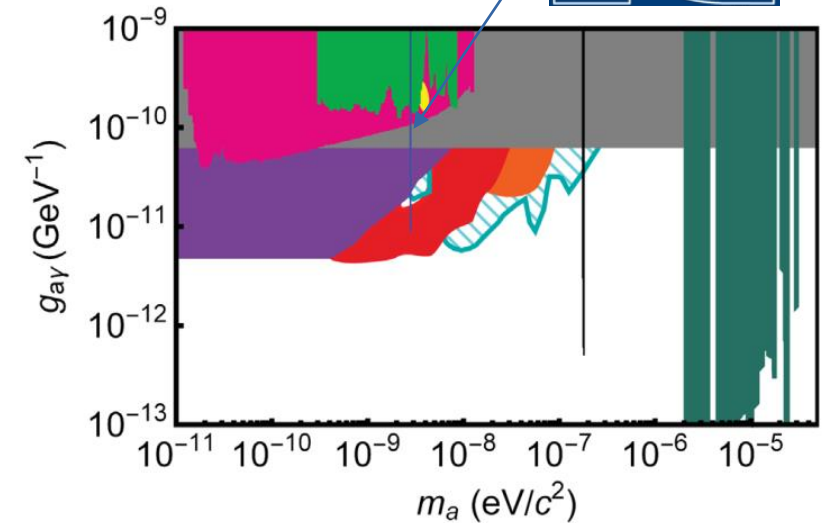
$$L_{a\gamma} = -g_{a\gamma} a(x) \mathbf{E}(x) \cdot \mathbf{B}(x)$$

- The oscillating ALP field source oscillating magnetic

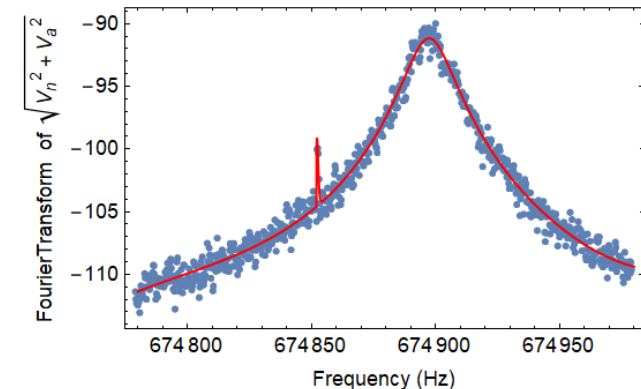
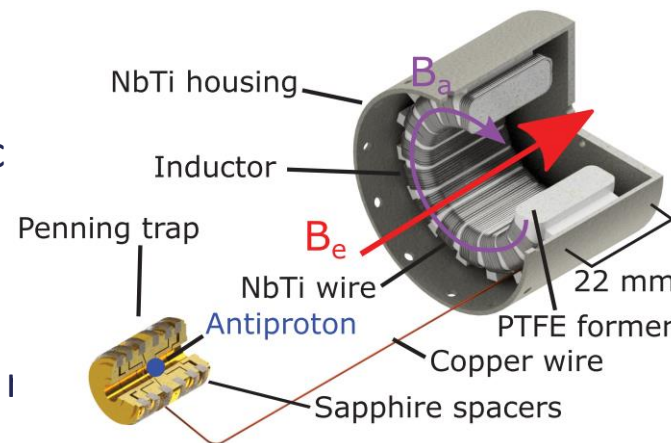
$$\nabla \times \mathbf{B} - \mu \frac{\partial \mathbf{E}}{\partial t} = -g_{a\gamma} \mathbf{B}_e \frac{\partial a}{\partial t}$$

$$\mathbf{B}_a = -\frac{1}{2} g_{a\gamma} r \sqrt{\rho_a \hbar c} \mathbf{B}_e \hat{\phi}$$

- where $\rho_a \hbar c$ is the local ALP energy density, r is the radius
- from the axis of the toroid.

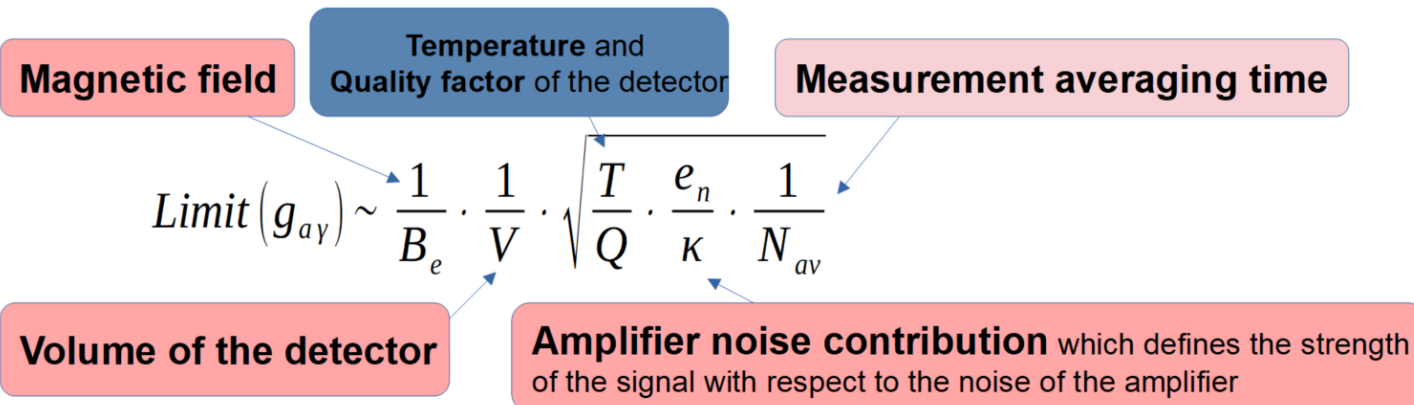


Limits			Hints	
■ SN-1987A	■ CAST	■ ADMX-SLIC	↗ γ rays	■ Pulsars
■ H.E.S.S.	■ BASE	■ ABRACADABRA		
■ Cavities	■ SHAFT	■ FERMI-LAT		



Upgraded ALPs detection sensitivity

- Dedicated ALPs detection experiment:
→ improved sensitivity



→ increased bandwidth between 500 kHz and 200 MHz with a tunable capacitance of the resonator (which does not decrease Q value!).

- Prototype - bachelor thesis of F. Voelksen

