

EXPERIMENTAL BASIS — 1

LECTURE 1

- An example analysis
- How to design a good experiment
- Experiments

LECTURE 2

- Triggers
- Techniques
- Soft skills
- The future

26/05/2023 — FPCP pre-conference school

[indico]

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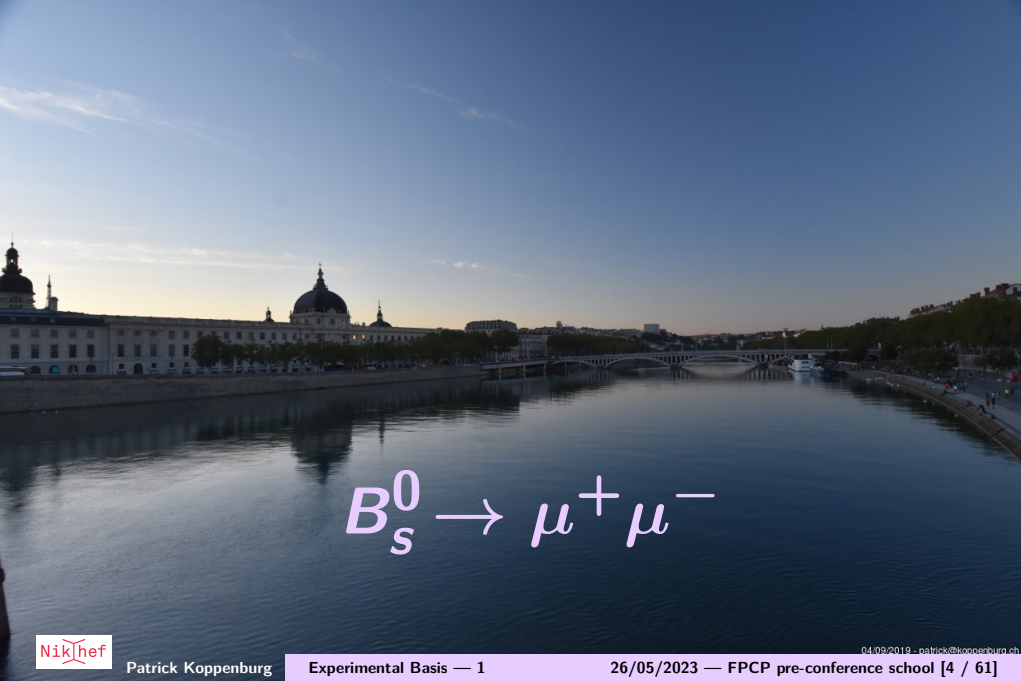
Nikhef



BLUF — BOTTOM LINE UP FRONT

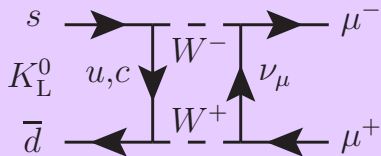
- Analyses exploit strengths of experiments
- Experiment designs are driven by physics
- There are multiple choices which leads to complementary experiments





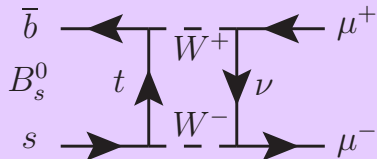
$$B_S^0 \rightarrow \mu^+ \mu^-$$

$$B_s^0 \rightarrow \mu^+ \mu^-$$



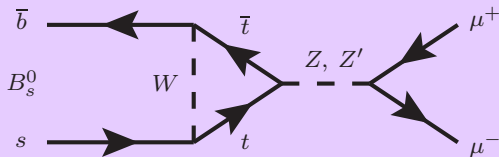
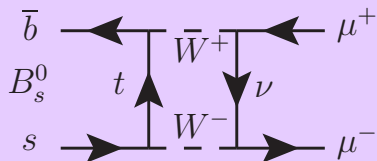
- Start with $K_L^0 \rightarrow \mu^+ \mu^-$

$$B_s^0 \rightarrow \mu^+ \mu^-$$



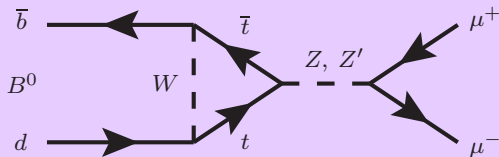
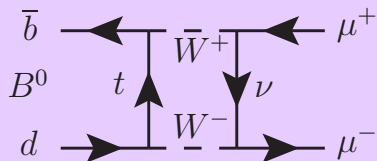
- Replace quarks by b and \bar{s} (for B_s^0) and t ($\propto V_{tb} V_{ts}$)

$$B_s^0 \rightarrow \mu^+ \mu^-$$



- Replace quarks by b and \bar{s} (for B_s^0) and t ($\propto V_{tb} V_{ts}$)
- Add a penguin contribution ($\propto V_{tb} V_{ts}$)

$$B_s^0 \rightarrow \mu^+ \mu^-$$



- Replace quarks by b and \bar{s} (for B_s^0) and t ($\propto V_{tb} V_{ts}$)
- Add a penguin contribution ($\propto V_{tb} V_{ts}$)
- For $B^0 \rightarrow \mu^+ \mu^-$ suppress by $V_{tb} V_{td}$ instead

$B_s^0 \rightarrow \mu^+ \mu^-$ PREDICTION

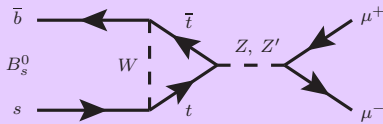
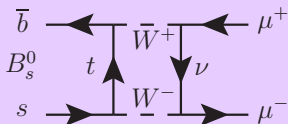
Very rare decay, well described in the SM

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)_{\text{SM}} = (3.66 \pm 0.14) \cdot 10^{-9}$$

[Beneke, Bobeth, Szafron, JHEP 10 (2019) 232, arXiv:1908.07011],

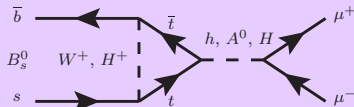
[Bobeth, Gorbahn, Hermann, Misiak, Stamou, Steinhauser, PRL 112, 101801 (2014)],

[De Bruyn, Fleischer, Kneijens, PK, Merk, Pellegrino, Tuning, PRL 109, 041801 (2012)] ...

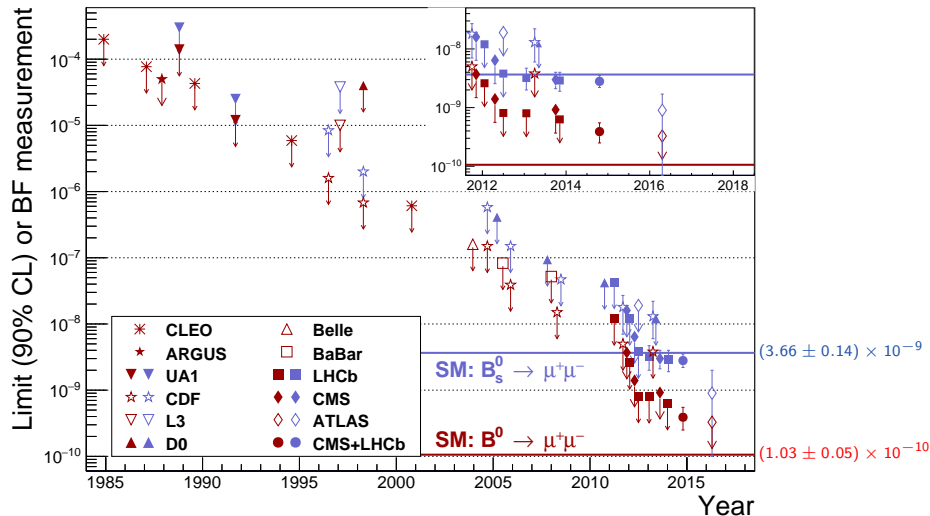


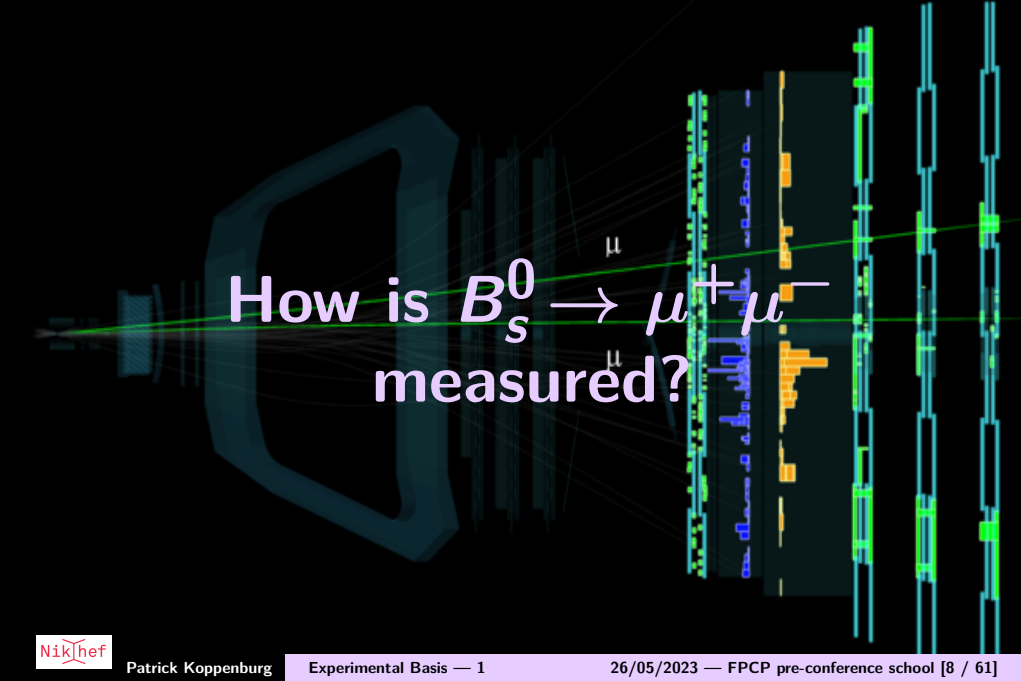
Very sensitive to NP, e.g. Minimal supersymmetric Models:

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)_{\text{MSSM}} \propto \frac{m_b^2 m_\ell^2 \tan^6 \beta}{m_A^4}$$



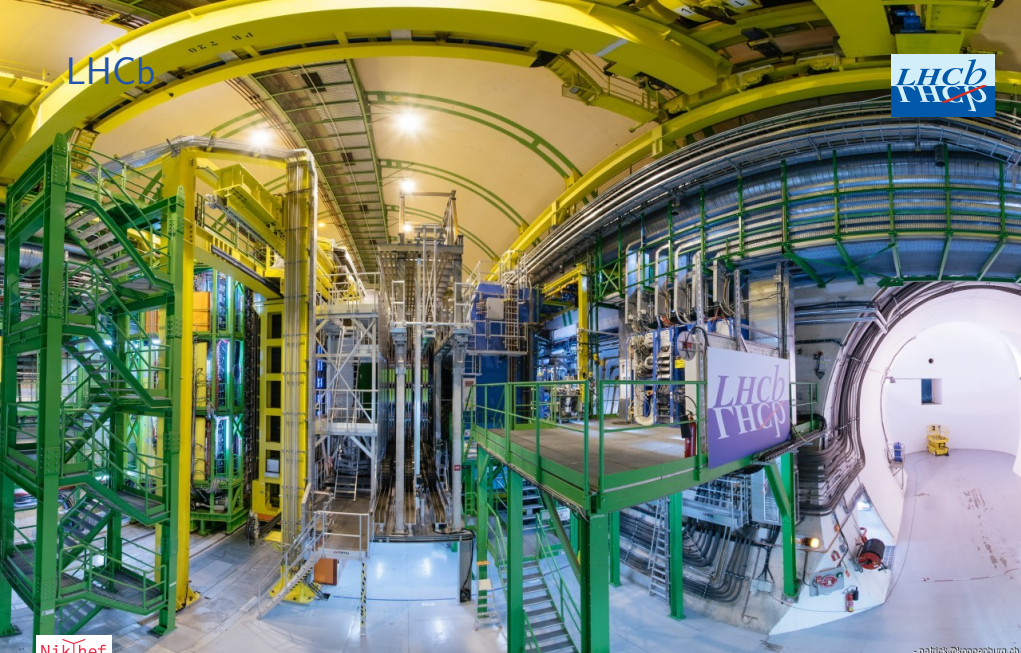
$B_s^0 \rightarrow \mu^+ \mu^-$ LIMITS HISTORY



The background of the slide features a large, semi-transparent image of a particle detector, likely a calorimeter or tracking detector, with a central opening. To the right of the detector, there are several vertical data plots. These include a blue histogram, an orange histogram, and several plots with green and red points connected by lines, representing particle tracks or event distributions. A green laser line is visible, passing through the center of the detector and the text.

How is $B_s^0 \rightarrow \mu^+ \mu^-$
measured?

LHCb



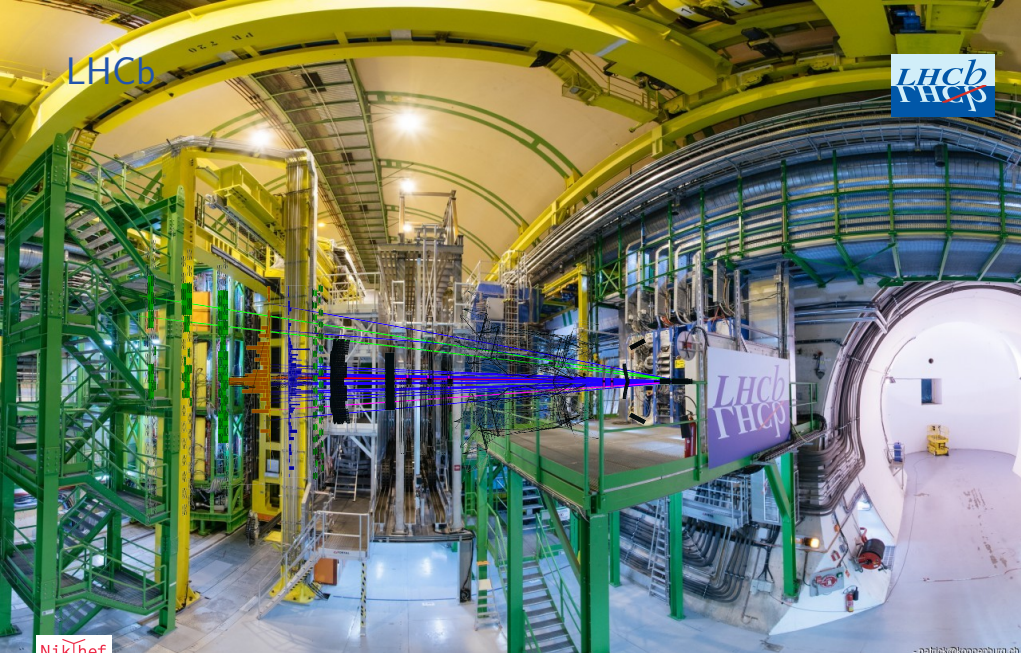
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Experimental Basis — 1

26/05/2023 — FPCP pre-conference school [9 / 61]

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LHCb



Patrick Koppenburg

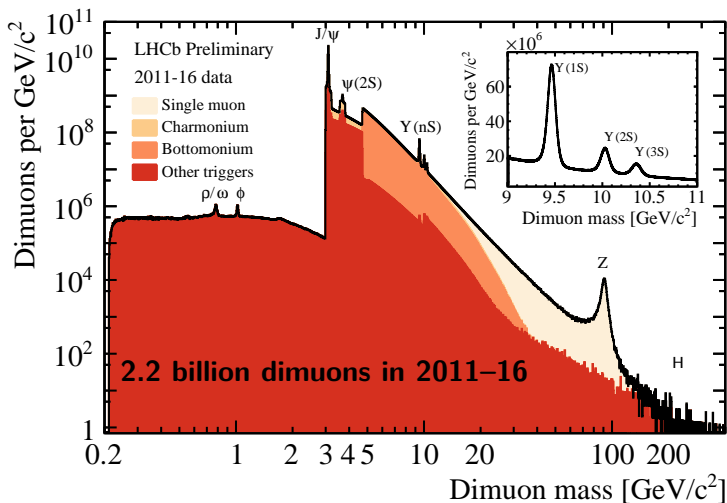
Experimental Basis — 1

26/05/2023 — FPCP pre-conference school [9 / 61]

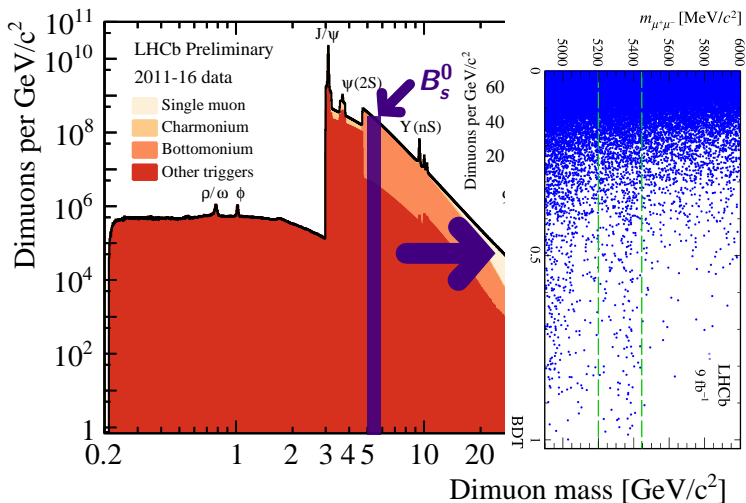
- patrick.koppenburg@nikhef.nl

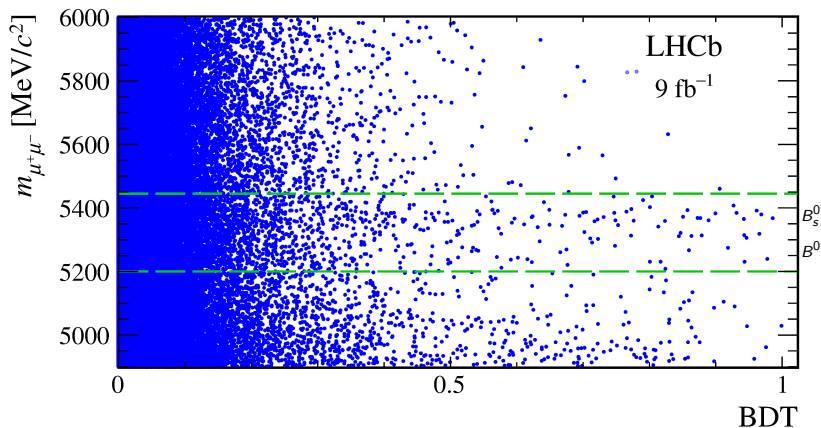


DIMUON MASS DISTRIBUTION



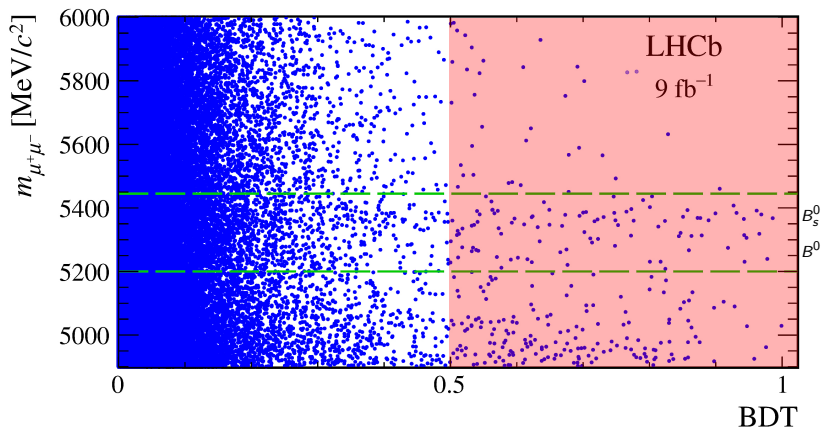
DIMUON MASS DISTRIBUTION



LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

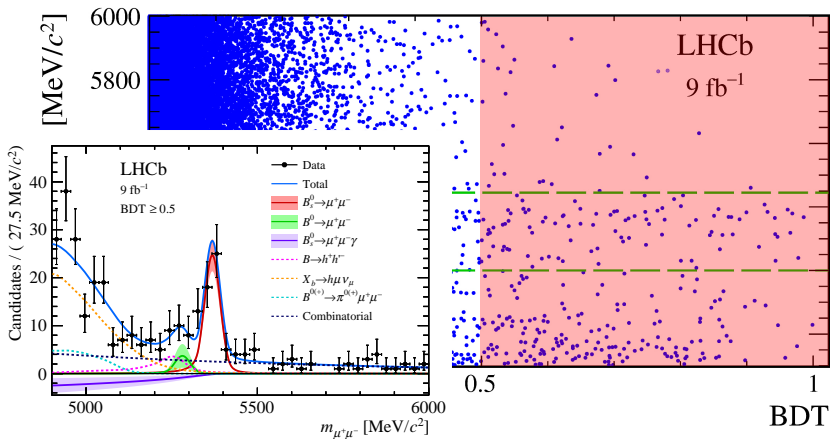
$B \rightarrow \mu^+ \mu^-$ search using 2011–2018 data (9 fb^{-1}) is done with a mass fit in bins of BDT output.

[B]

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

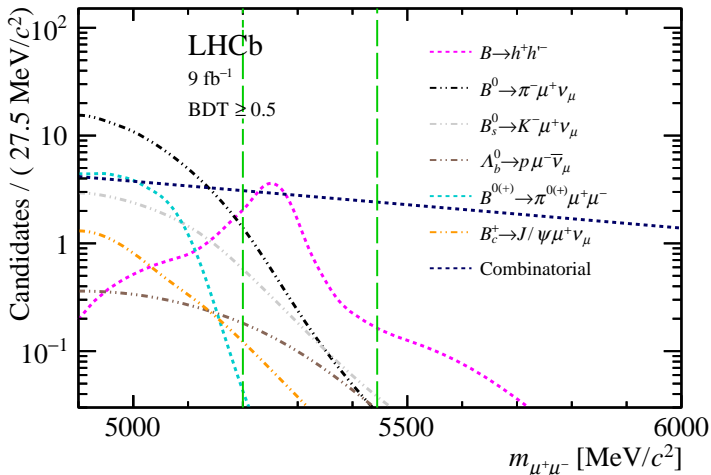
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[B]

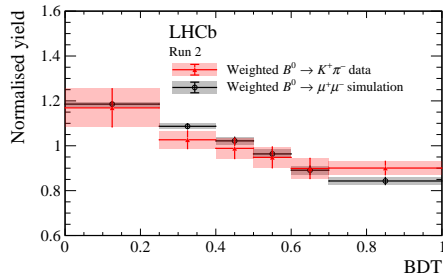
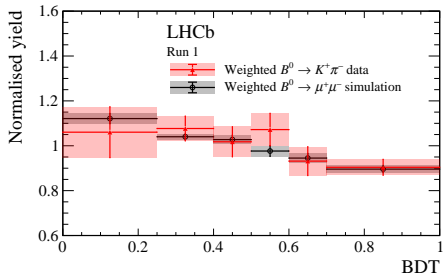
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

$B \rightarrow \mu^+ \mu^-$ search using 2011–2018 data (9 fb⁻¹) is done with a mass fit in bins of BDT output.

[B]

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

The BDT is optimised to fight combinatorial and specific backgrounds.

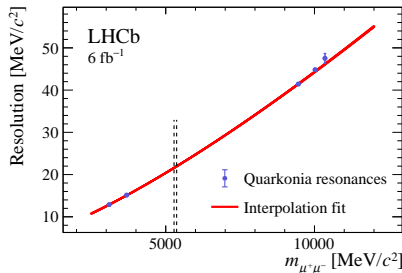
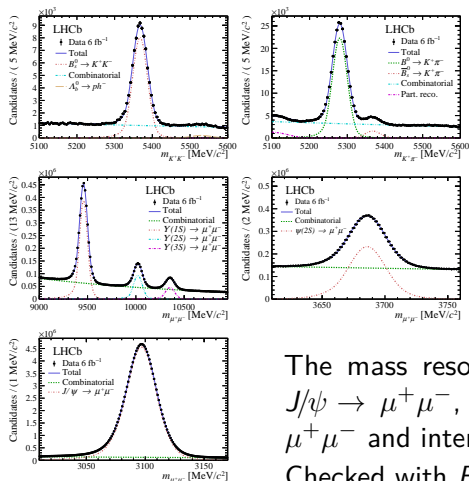
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

The BDT is calibrated using $B^0 \rightarrow K^+ \pi^-$ decays, which have the same topology and are more abundant.

[B]

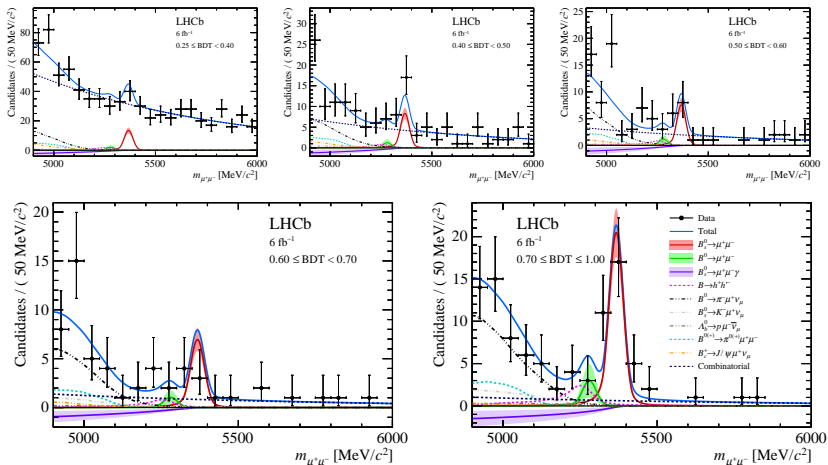


LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$

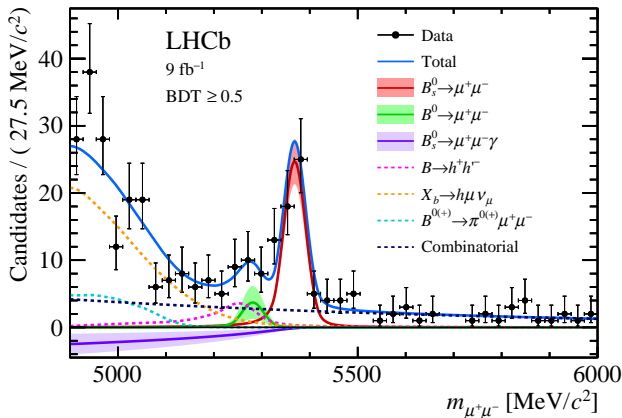


The mass resolution is calibrated using the decays $J/\psi \rightarrow \mu^+ \mu^-$, $\psi(2S) \rightarrow \mu^+ \mu^-$ and $\Upsilon([1, 2, 3]S) \rightarrow \mu^+ \mu^-$ and interpolated to $23 \text{ MeV}/c^2$ at the B_s^0 mass. Checked with $B^0 \rightarrow K^+ \pi^-$ and $B_s^0 \rightarrow K^+ K^-$. Here for Run 2

[B]

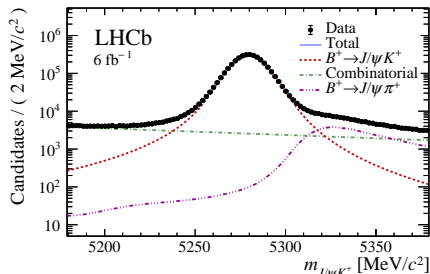
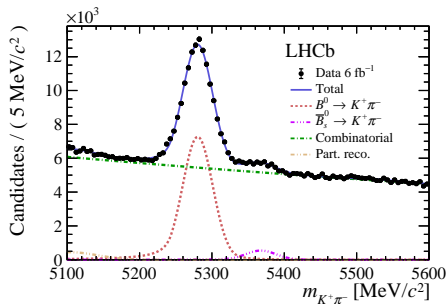
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

Mass fits are performed in bins of BDT output, for Run 2.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

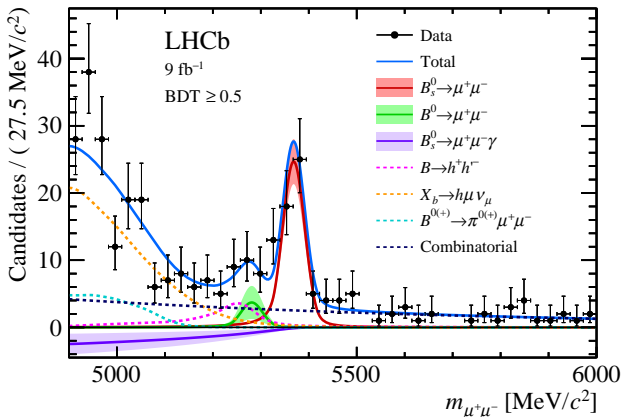
Mass plot shows candidates with $\text{BDT} > 0.5$.

The significances are 10σ for $B_s^0 \rightarrow \mu^+ \mu^-$ and 1.7σ for $B^0 \rightarrow \mu^+ \mu^-$.

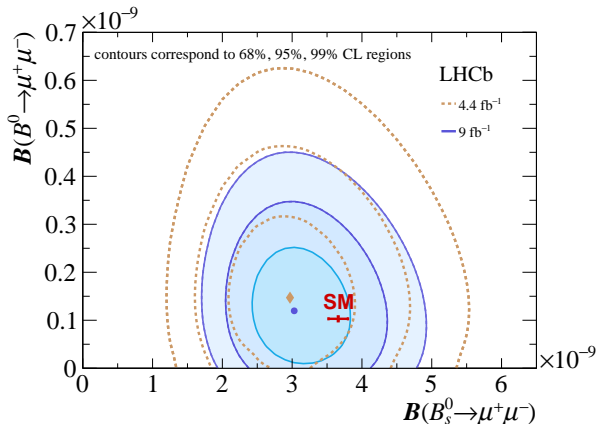
LEGACY MEASUREMENT OF $B_S^0 \rightarrow \mu^+ \mu^-$ 

$B^0 \rightarrow K^+ \pi^-$ and $B^+ \rightarrow J/\psi K^+$ are used to normalise the $B \rightarrow \mu^+ \mu^-$ branching fractions. The factors are $a_{B_S^0 \rightarrow \mu^+ \mu^-}^{\text{norm}} = (2.49 \pm 0.09) \times 10^{-11}$ and $a_{B^0 \rightarrow \mu^+ \mu^-}^{\text{norm}} = (6.52 \pm 0.11) \times 10^{-12}$.

➔ Expecting $148 \pm 8 B_S^0 \rightarrow \mu^+ \mu^-$, $16 \pm 1 B \rightarrow \mu^+ \mu^-$ and about 3 $B_S^0 \rightarrow \mu^+ \mu^- \gamma$

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

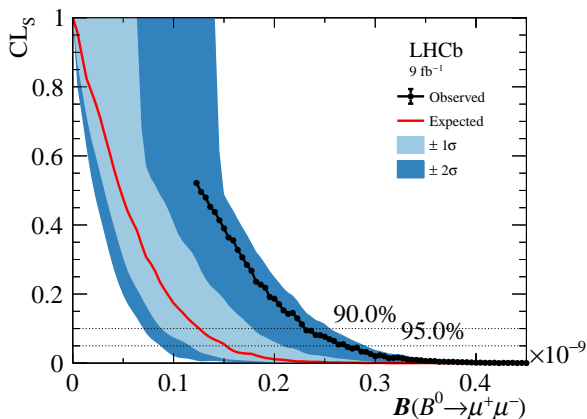
The results $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.09^{+0.46}_{-0.43} +^{0.15}_{-0.11}) \times 10^{-9}$ and $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) = (1.2^{+0.8}_{-0.7} \pm 0.1) \times 10^{-10}$ are consistent with the SM.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

[Beneke, Bobeth, Szafron, JHEP 10 (2019) 232]

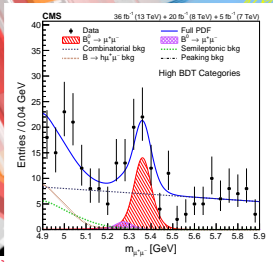
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[B]

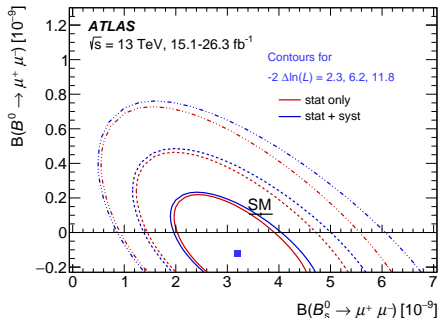
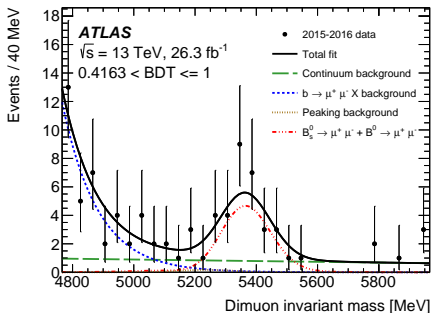
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

As no excess of $B^0 \rightarrow \mu^+ \mu^-$ is found, a limit at 2.6×10^{-10} at 95% confidence level is set.

$B \rightarrow \mu^+ \mu^-$ WITH 2011-16 DATA



$B_s^0 \rightarrow \mu^+ \mu^-$ AT ATLAS

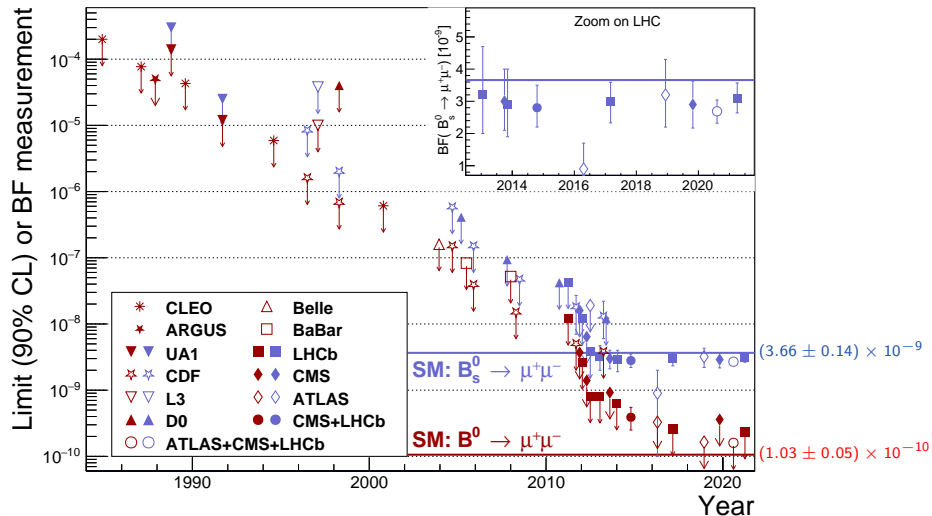


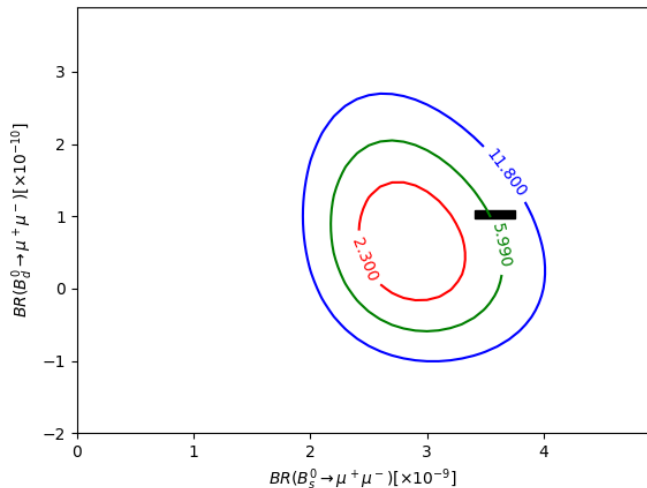
Using 26 fb^{-1} 2015–16 data, ATLAS now also see $B_s^0 \rightarrow \mu^+ \mu^-$:

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.2_{-1.0}^{+1.0} \text{ }_{-0.3}^{+0.5}) \times 10^{-9}$$

$$\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) = (-1.3 \pm 2.1) \times 10^{-10} < 4.3 \times 10^{-10} \text{ (95\% C.L.)}$$

$B_s^0 \rightarrow \mu^+ \mu^-$ RACE TOWARD THE SM



$B \rightarrow \mu^+ \mu^-$ AFTER MORIOND 2021

The SM point is near the 2σ band

Buras and Venturini see even 2.7σ using CKM elements from data [Buras, Venturini, arXiv:2203.11960]

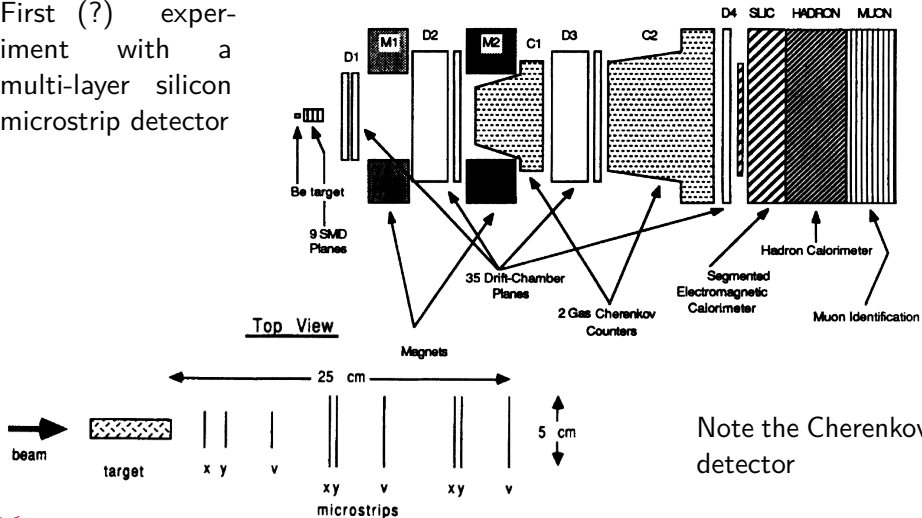
ATLAS [JHEP 04 (2019) 098], CMS [JHEP 04 (2020) 188], LHCb [PRL 128 (2022) 041801]

The background of the slide is a silhouette of a Gothic cathedral, likely the Westwerk of a church, set against a dramatic sky at sunset or sunrise. The sky is filled with soft, golden clouds, and the sun is low on the horizon, creating a strong backlighting effect. The cathedral's spires and intricate architectural details are visible as dark shapes against the lighter sky.

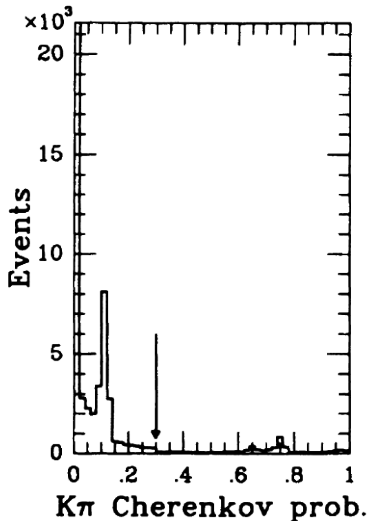
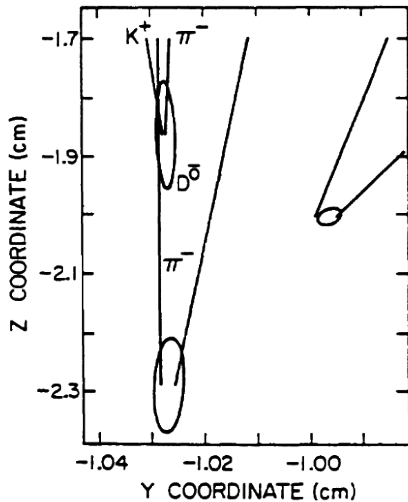
Design of an experiment

D LIFETIME WITH A MICROSTRIP DETECTOR

First (?) experiment with a multi-layer silicon microstrip detector



D LIFETIME WITH A MICROSTRIP DETECTOR

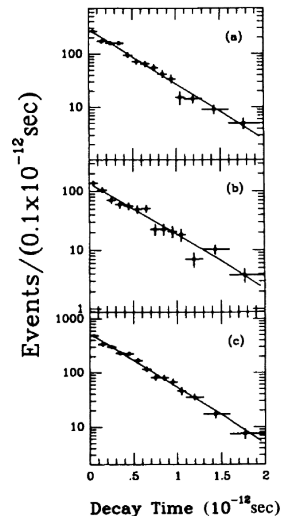
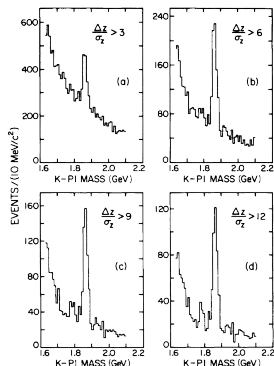


D LIFETIME WITH A MICROSTRIP DETECTOR

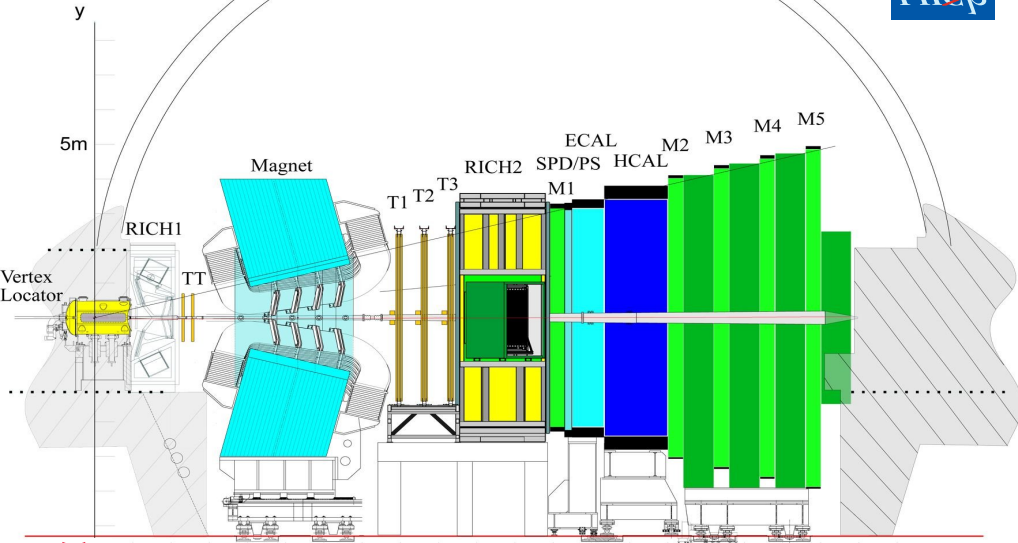
$$\tau_{D^0} = 422 \pm 8 \pm 10 \text{ fs} \quad (410.3 \pm 1.0 \text{ now})$$

$$\tau_{D^+} = 1090 \pm 30 \pm 25 \text{ fs} \quad (1033 \pm 5)$$

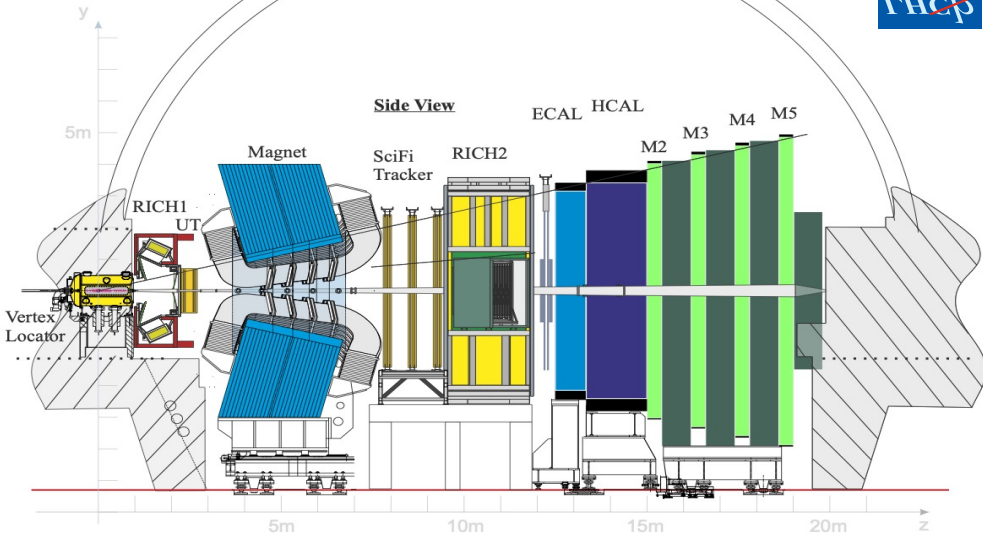
$$\tau_{D_s^+} = 470 \pm 40 \pm 20 \text{ fs} \quad (504 \pm 4)$$



LHCb LEGACY 2009–2018



LHCb UPGRADE 2023



LHCb DETECTOR DESIGN



ACCEPTANCE

MASS AND MOMENTUM RESOLUTION

IMPACT PARAMETER AND TIME RESOLUTION

PARTICLE IDENTIFICATION

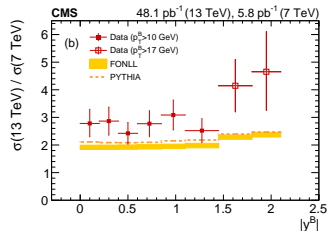
LHCb DETECTOR DESIGN: ACCEPTANCE



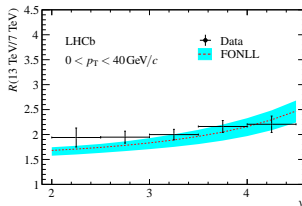
ACCEPTANCE: Light particles tend to be closer to the beam pipe. It's cheaper to instrument the forward region than 4π .

$$\ln \frac{\sqrt{s}}{m_X} \geq \eta(X)$$

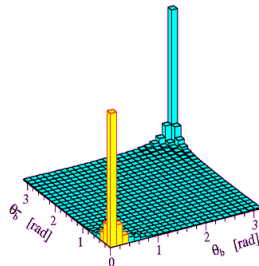
For Higgs at 13.6 TeV it's 4.7 while for B it's 7.9.



[CMS, PLB 771 (2017) 435]



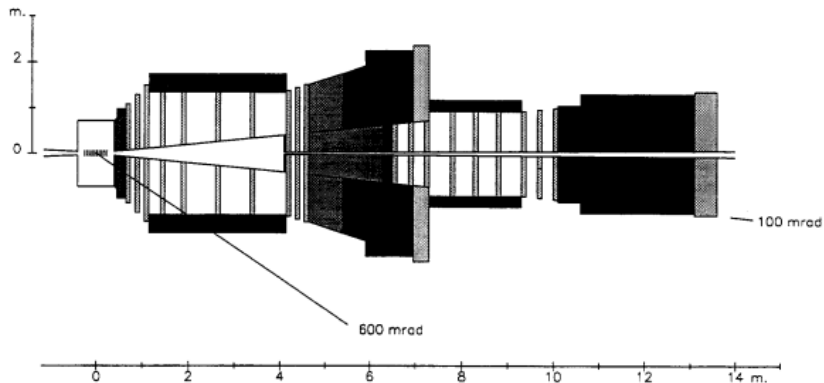
[JHEP 12 (2017) 026]



LHCb DETECTOR DESIGN: ACCEPTANCE



ACCEPTANCE: Forward

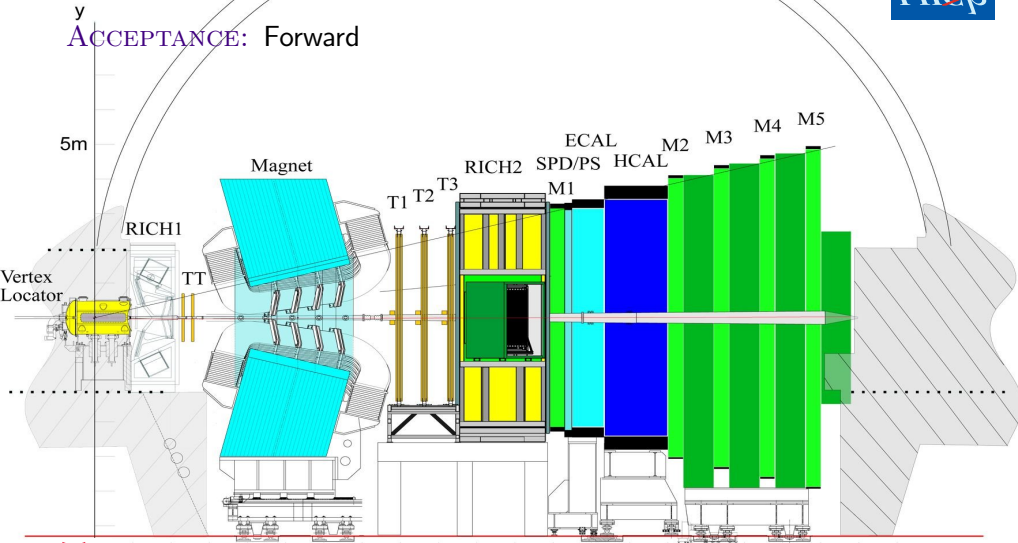


COBEX LOI LHCC-93-50 (1993)



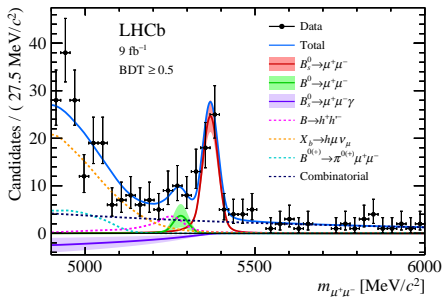
LHCb DETECTOR DESIGN: ACCEPTANCE

y
ACCEPTANCE: Forward

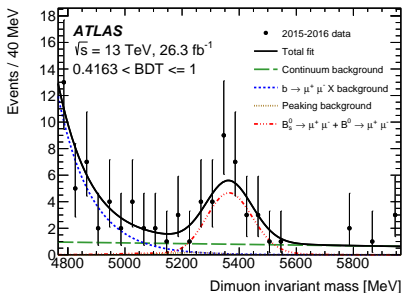


LHCb DETECTOR DESIGN: p RESOLUTION

MASS RESOLUTION: Better resolution translates into better S-B discrimination. But at the minimum we want to resolve the B_s^0 and B^0 .



[PRL 128 (2022) 041801]



[ATLAS, JHEP 04 (2019) 098]

LHCb DETECTOR DESIGN: p RESOLUTION

MASS RESOLUTION: Better resolution translates into better S-B discrimination. But at the minimum we want to resolve the B_s^0 and B^0 .

$$\begin{pmatrix} \sqrt{p_x^2 + p_z^2 + m^2} \\ p_x \\ 0 \\ p_z \end{pmatrix} = \begin{pmatrix} \sqrt{p_a^2 + m_a^2} \\ p_a \\ 0 \\ 0 \end{pmatrix} + \begin{pmatrix} \sqrt{p_b^2 + m_b^2} \\ p_b \cos \theta \\ 0 \\ p_b \sin \theta \end{pmatrix}$$

where p_a defines the x direction and y is at an angle θ . This leads to

$$m = \sqrt{m_a^2 + m_b^2 - 2p_a p_b \cos \theta + 2\sqrt{m_a^2 + p_a^2}\sqrt{m_b^2 + p_b^2}}$$

$$\frac{\partial m}{\partial p_a} = \frac{1}{m} \left(p_a \frac{\sqrt{m_b^2 + p_b^2}}{\sqrt{m_a^2 + p_a^2}} - p_b \cos \theta \right) \quad \frac{\partial m}{\partial \theta} = \frac{1}{m} p_a p_b \sin \theta$$

LHCb DETECTOR DESIGN: p RESOLUTION

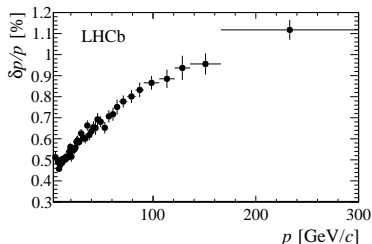
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$$\frac{\partial m}{\partial p_a} = \frac{1}{m} \left(p_a \frac{\sqrt{m_b^2 + p_b^2}}{\sqrt{m_a^2 + p_a^2}} - p_b \cos \theta \right)$$

Plugging in $p_a = p_b = 30$ GeV gets $\theta = 0.18$ for $B_s^0 \rightarrow \mu^+ \mu^-$

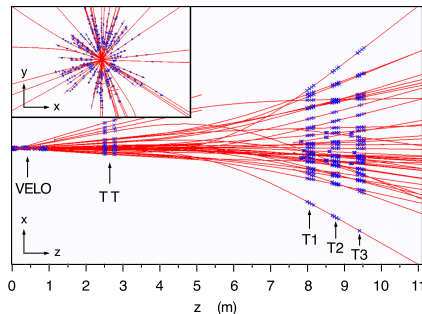
- 3σ B_s^0 - B^0 separation $\rightarrow \leq 30$ MeV resolution
- which translates into $\leq 0.55\%$ p resolution.



LHCb DETECTOR DESIGN: p RESOLUTION

MASS RESOLUTION: Better resolution translates into better S-B discrimination. But at the minimum we want to resolve the B_s^0 and B^0 .

- Need $\delta p/p \sim 0.5\%$
 - In a dipole field the momentum is obtained from the angle of the track before and after the magnet



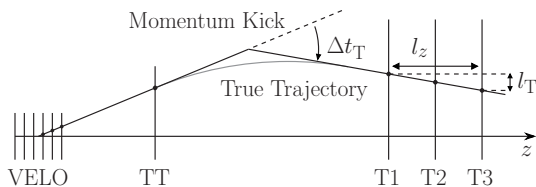
LHCb DETECTOR DESIGN: p RESOLUTION

MASS RESOLUTION: Better resolution translates into better S-B discrimination. But at the minimum we want to resolve the B_s^0 and B^0 .

→ Need $\delta p/p \sim 0.5\%$

- In a dipole field the momentum is obtained from the angle of the track before and after the magnet

$$\Delta \vec{p} = p \Delta t_T \quad t_T = l_T / l_z \quad \rightarrow \quad \frac{\sigma_p}{p} \simeq \frac{\sigma_{l_T}}{l_T}$$



Many handles

- 1 Hit resolution → σ_{l_T}
- 2 Tracking volume l_z
- 3 B field, and
- 4 level-arm z → Δt_T → $\frac{l_T}{l_z}$

Legacy LHCb: $\sigma_{l_T} \sim 200 \mu\text{m}$, $l_z \sim 2 \text{ m}$, $\int B dl_z = 4 \text{ Tm}$

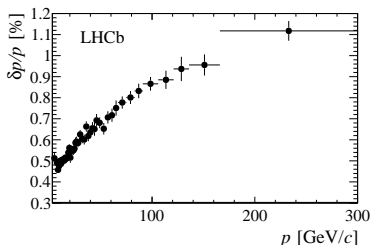
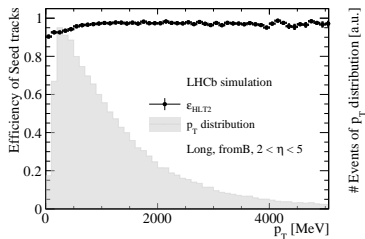
LHCb DETECTOR DESIGN: p RESOLUTION

MASS RESOLUTION: Better resolution translates into better S-B discrimination. But at the minimum we want to resolve the B_s^0 and B^0 .

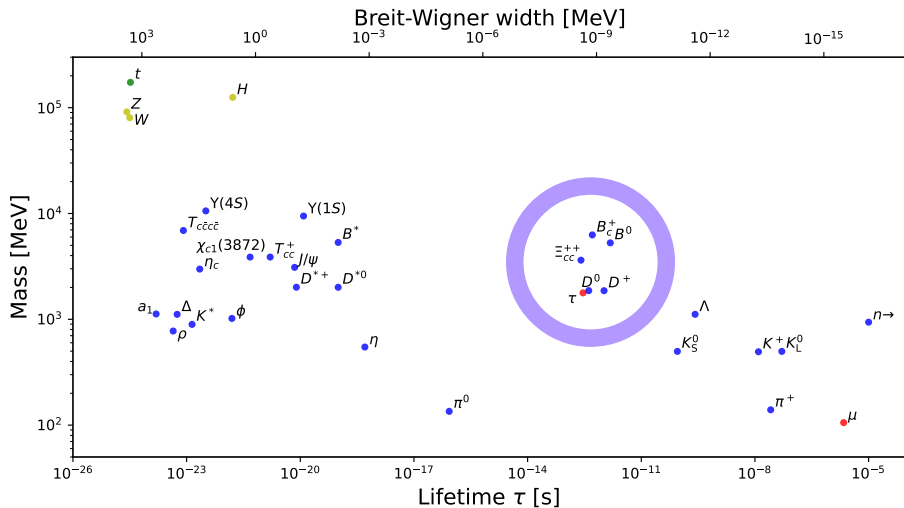
→ Need $\delta p/p \sim 0.5\%$

- In a dipole field the momentum is obtained from the angle of the track before and after the magnet
- In the upgraded LHCb the SciFi provides $100 \mu\text{m}$ resolution

[LHCb-DP-2022-002, arXiv:2305.10515]

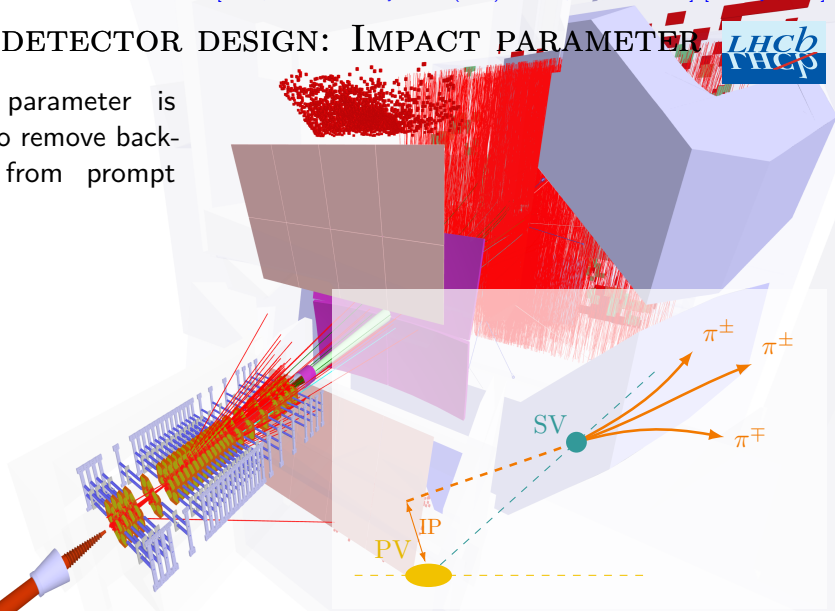


LIFETIMES AND WIDTHS OF SELECTED PARTICLES



LHCb DETECTOR DESIGN: IMPACT PARAMETER

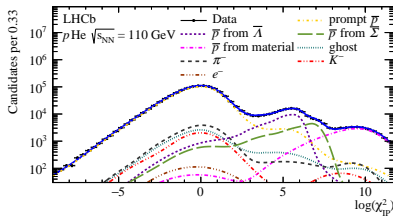
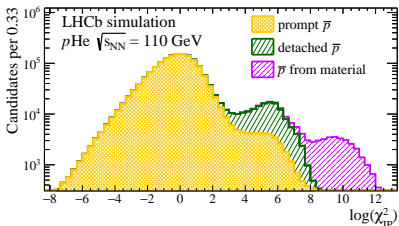
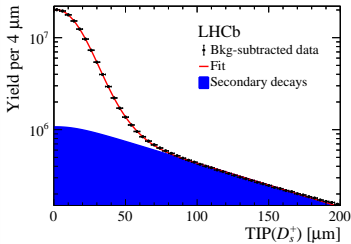
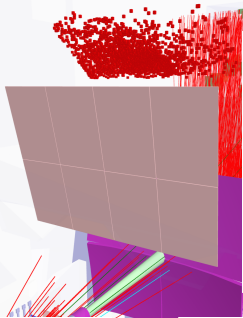
Impact parameter is critical to remove background from prompt tracks





LHCb DETECTOR DESIGN: IMPACT PARAMETER

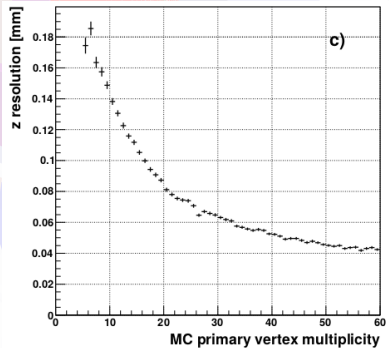
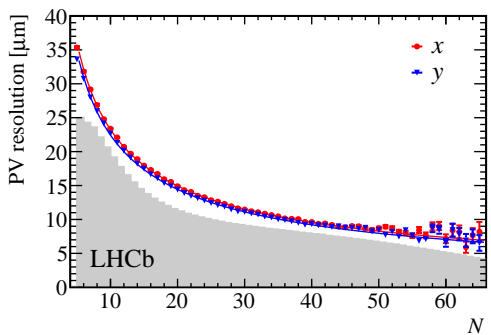
Impact parameter is critical to remove background from prompt tracks





LHCb DETECTOR DESIGN: IMPACT PARAMETER

IP resolution depends on “track resolution” and “PV resolution”, which depends on “track resolution” for N tracks.



LHCb DETECTOR DESIGN: IMPACT PARAMETER



IP is the length of the \vec{IP} vector. Let's look at x component

$$IP_x = x - x_{PV} - (z - z_{PV})t_x$$

where t_x is the slope of the track in x

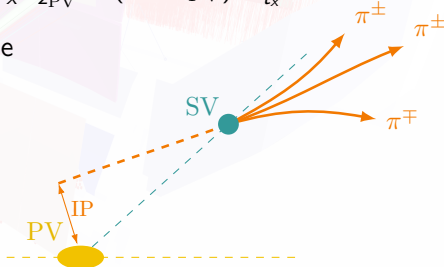
$$\sigma_{IP_x}^2 = \sigma_x^2 + \sigma_{x_{PV}}^2 + t_x^2 \sigma_{z_{PV}}^2 + (z - z_{PV})^2 \sigma_{t_x}^2$$

The last term dominates due to multiple scattering.

$$(z - z_{PV}) \propto 1/t \quad \text{(Geometry)}$$

$$\sigma_t \propto 1/p \quad \text{(Mult. Scat.)}$$

$$\frac{1}{t} \frac{1}{p} = \frac{1}{p_T}$$



LHCb DETECTOR DESIGN: IMPACT PARAMETER



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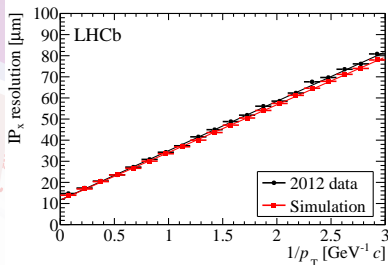
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LHCb DETECTOR DESIGN: DECAY TIME

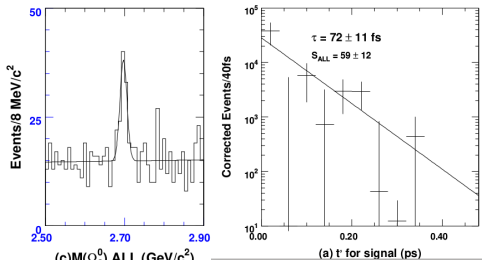


One infers the **decay time** t of a given candidate particle from the measured **flight distance** l

$$ct = \gamma l$$

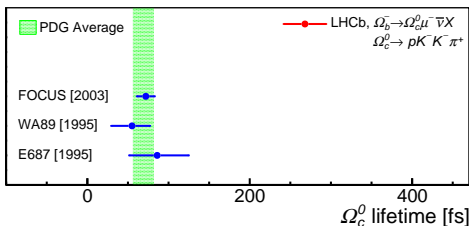
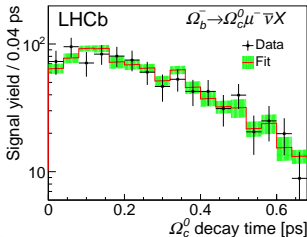
It follows a decaying exponential. The **lifetime** τ of a particle is the average decay time.

Ω_c^0 LIFETIME HISTORY

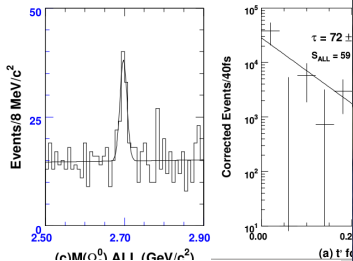


In 2005 FOCUS measure FOCUS measure $72 \pm 11 \pm 11$ fs with 64 ± 14 baryons (resolution: 50 fs) [PLB561 (2003) 41]

In 2018 LHCb get $268 \pm 24 \pm 10 \pm 2$ fs with 978 ± 60 and a resolution of 0.1 fs [LHCb, PRL 121 (2018) 092003, arXiv:1807.02024]

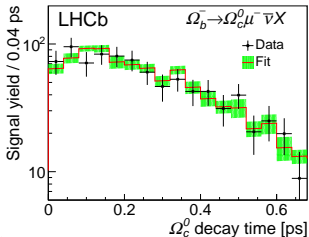


Ω_c^0 LIFETIME HISTORY



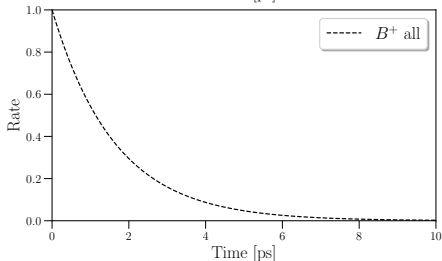
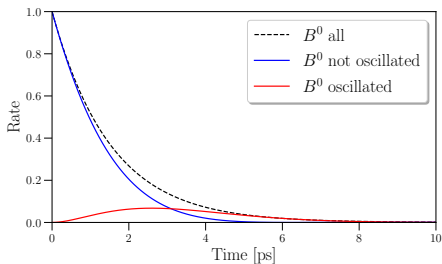
**WITH ONE
EVENT I
MEASURE A MASS**

**WITH TWO
A LIFETIME**



**WITH
THREE A SPIN**

NEUTRAL MESON MIXING

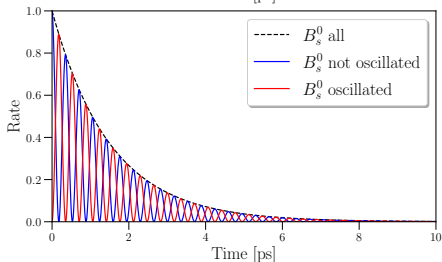
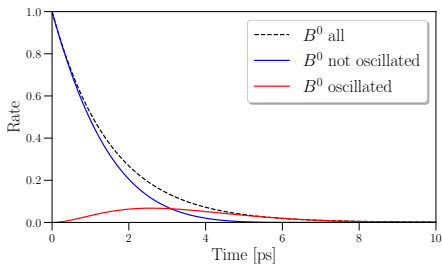


Weakly decaying neutral mesons will exhibit mixing. The two flavour eigenstates M and \bar{M} will mix into a heavy M_H and a light M_L state

$$|M_{L,H}\rangle = p |M\rangle \pm q |\bar{M}\rangle.$$

They will oscillate between M and \bar{M} and decay following the lifetimes of M_H and M_L .

NEUTRAL MESON MIXING



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$$|M_{L,H}\rangle = p |M\rangle \pm q |\bar{M}\rangle.$$

They will oscillate between M and \bar{M} and decay following the lifetimes of M_H and M_L .

The B_s^0 goes considerably faster than the B^0

LHCb DETECTOR DESIGN: DECAY TIME

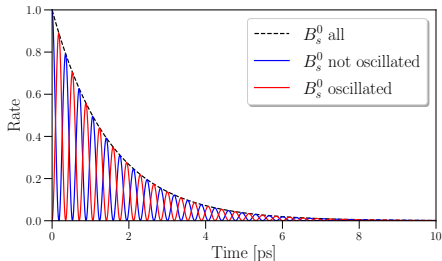


One infers the **decay time t** of a given candidate particle from the measured **flight distance l**

$$ct = \gamma l$$

A better time resolution helps for measuring decay times, but is crucial for resolving oscillations

- The B_s^0 sets the strongest constraints
- $\Delta m_s = 17.8 \text{ ps}^{-1}$
 $\rightarrow 1/\Delta m_s = 56 \text{ fs}$



LHCb DETECTOR DESIGN: DECAY TIME

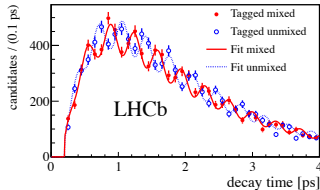
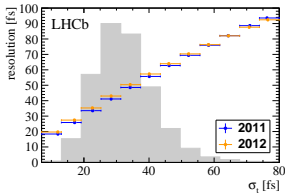
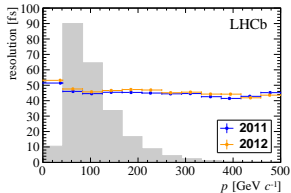
One infers the **decay time t** of a given candidate particle from the measured **flight distance l**

$$ct = \gamma l$$

The resolution is

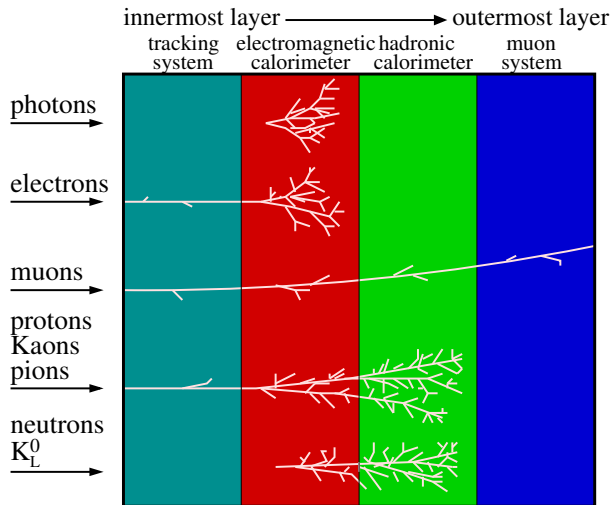
$$\sigma_t^2 = \left(\frac{m}{p}\right)^2 \sigma_l^2 + \left(\frac{t}{p}\right)^2 \sigma_p^2$$

The resolution σ_l relates to that on IP and PV. At low p multiple scattering dominates. At high p the opening angle is small and detector resolution matters most.

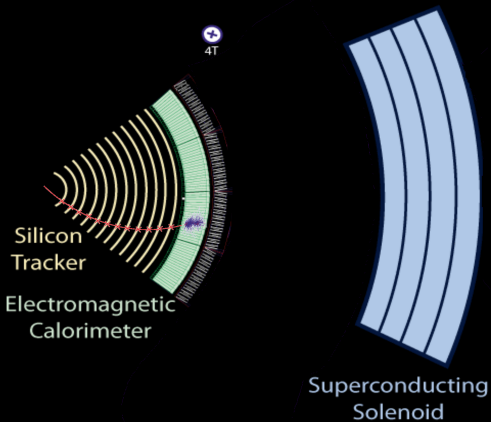


PID

Detector design is imposed by physics. Not much of a choice here.



C. Lippmann – 2003



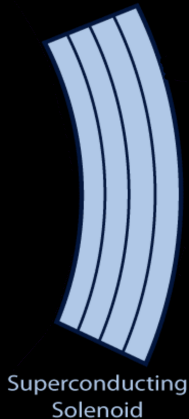
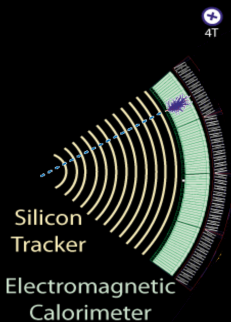
Silicon Tracker

Electromagnetic Calorimeter

Superconducting Solenoid

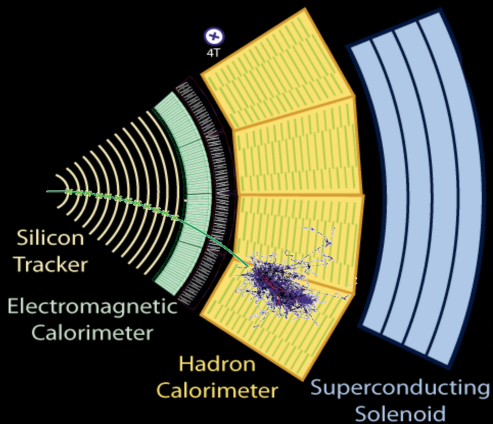
Key:

— Electron



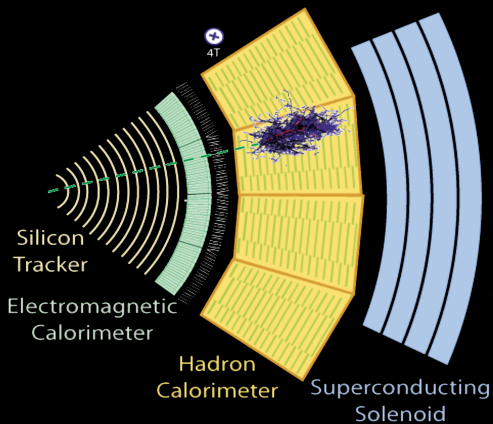
Key:

----- Photon



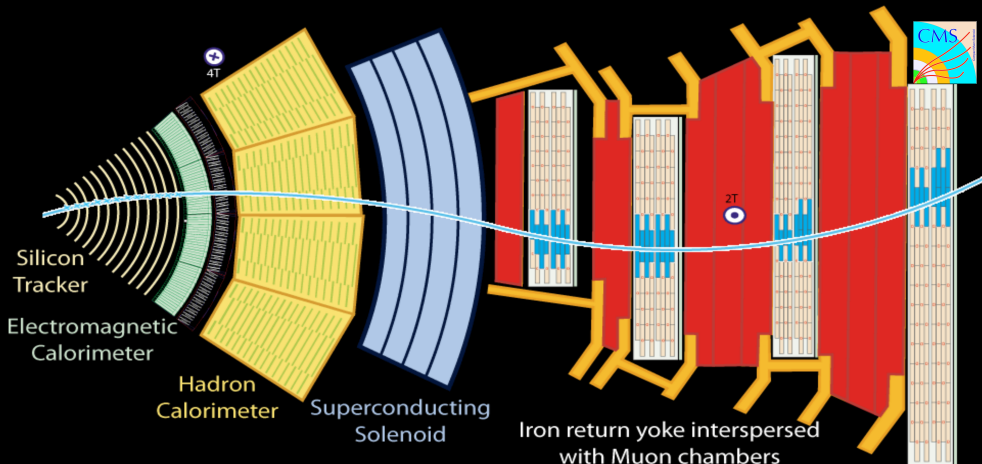
Key:

— Charged Hadron (e.g. Pion)

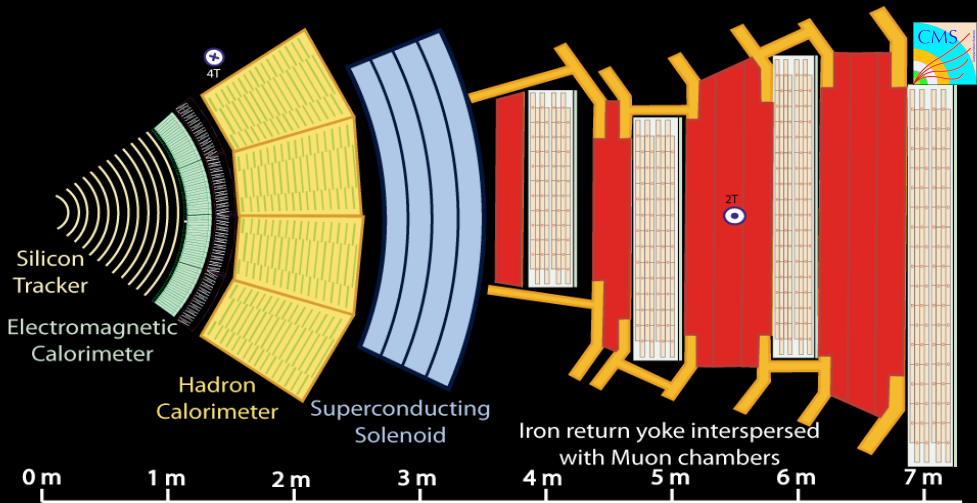


Key:

Neutral Hadron (e.g. Neutron)



Key:
 Muon

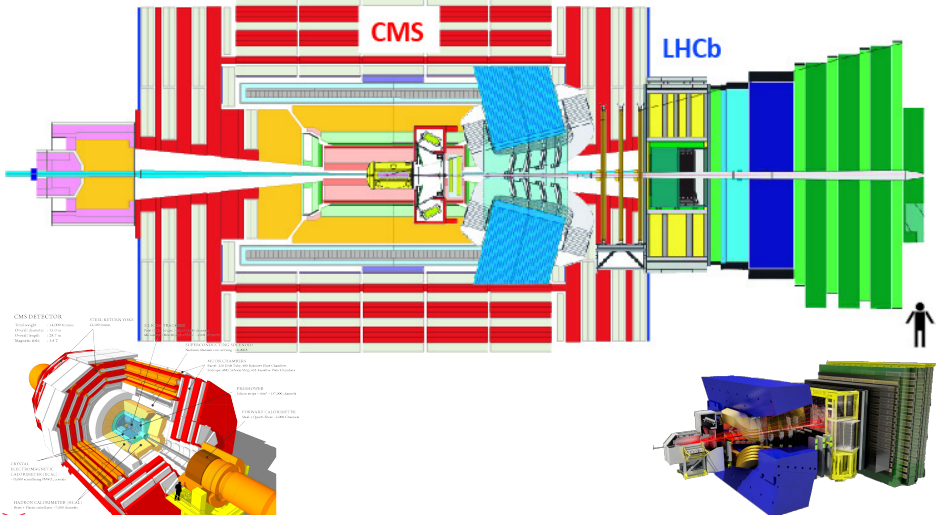


Key:

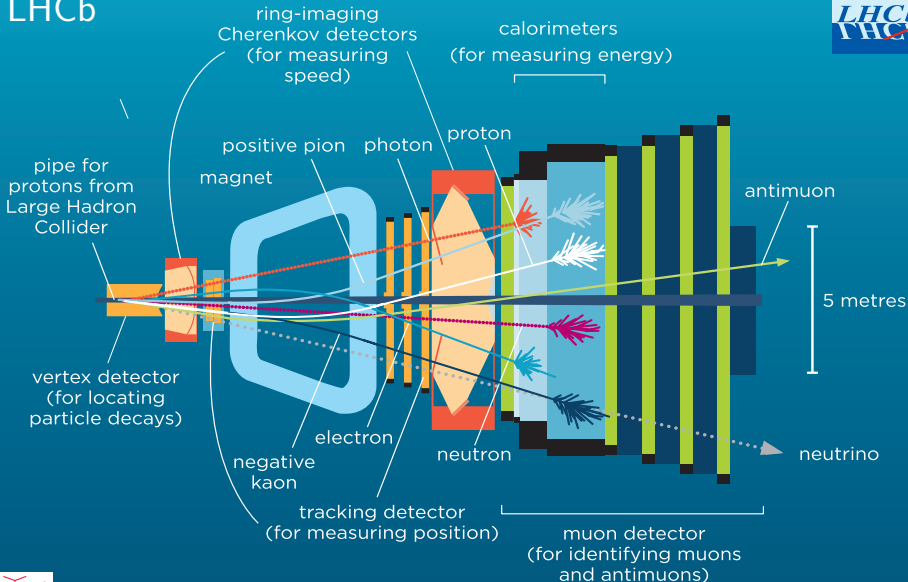
- Muon
- Electron
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- - - Photon
- Neutral Hadron (e.g. Neutron)



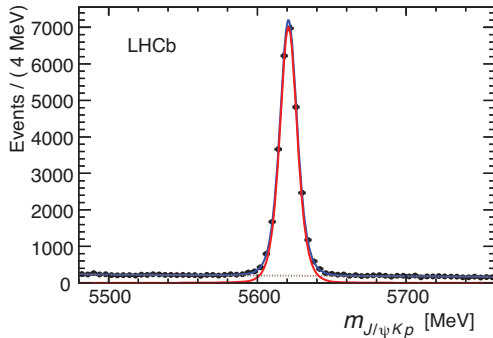
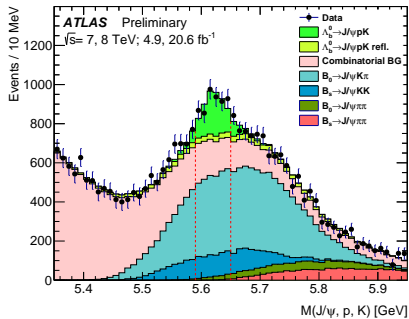
LHCb IN CMS



LHCb



P_{ψ}^{N+} STATES AT ATLAS



With Run 1 data, ATLAS find $2270 \pm 300 \Lambda_b^0 \rightarrow J/\psi p K^-$ decays

- With the same data, LHCb see $26\,000 \pm 170$ with hardly any background

[LHCb, PRL 115 (2015) 072001, arXiv:1507.03414]

CHERENKOV

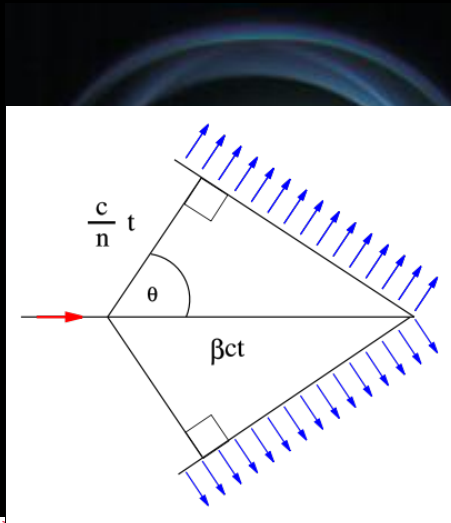


Cherenkov radiation is emitted by charged particles crossing a transparent medium at a speed higher than the speed of light *in that medium*.

$$v = \frac{c}{n}$$

→ Like boom of a supersonic aircraft.

CHERENKOV

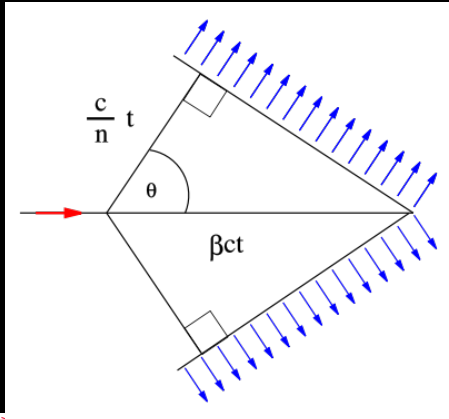


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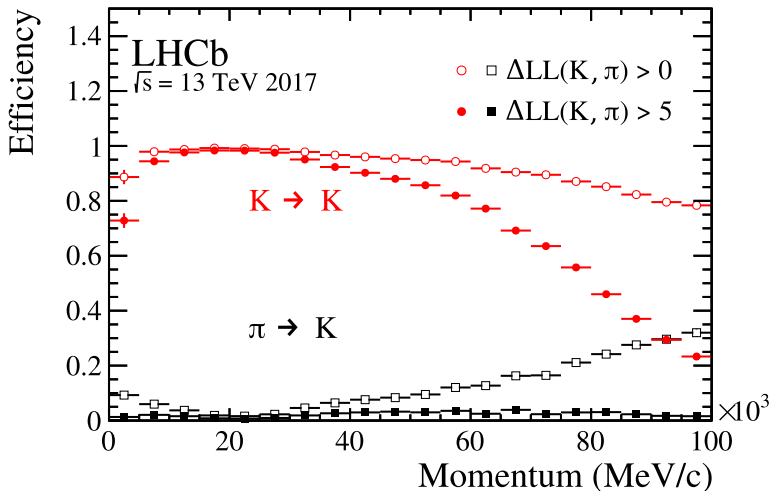


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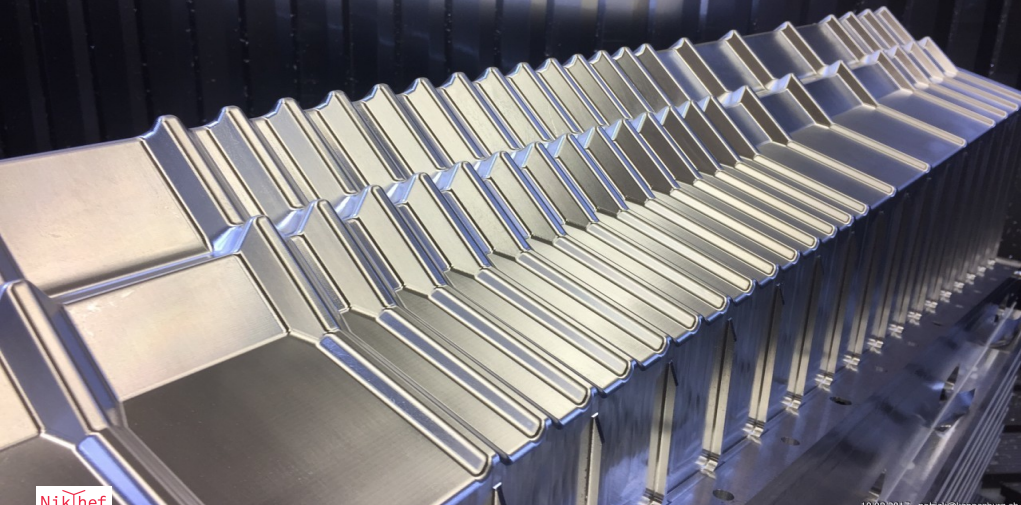
$$v = \frac{c}{n}$$

- ➔ Like boom of a supersonic aircraft.
- The emission angle depends on the speed of the particle.
- From the speed and the momentum one can work out the mass. Hence the identity

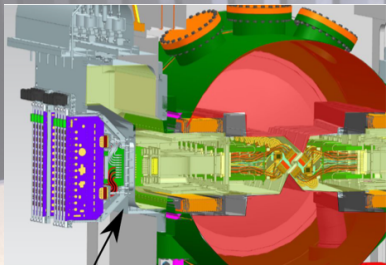
LHCb RICH PERFORMANCE IN RUN 2



VELO INCIDENT



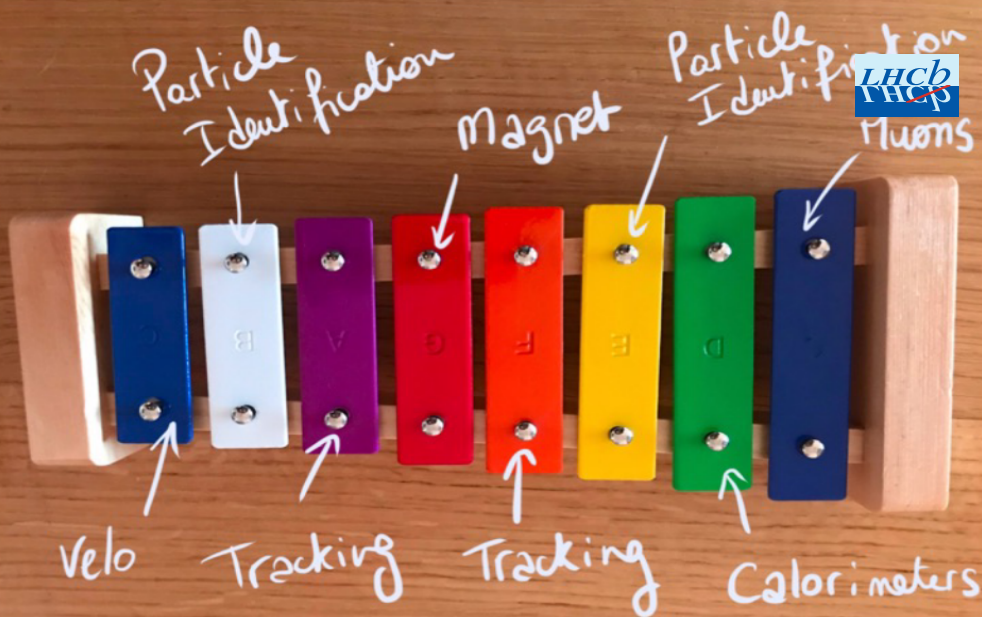
VELO INCIDENT

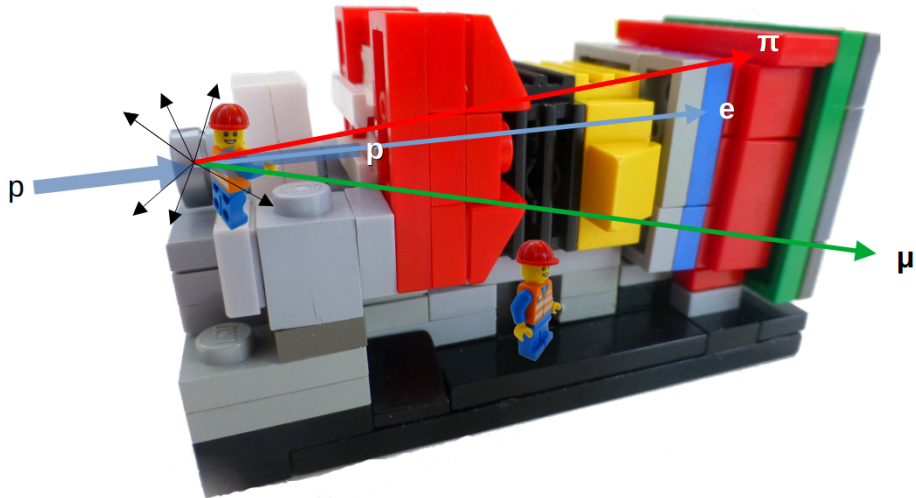


On 10th January 2023, during a VELO warm up in neon, there was a loss of control of the protection system. A pressure differential of 200 mbar built up between the two volumes, whereas the foils are designed to withstand 10 mbar only. Initial investigations show no damage to the VELO modules; sensors show correct leakage currents, microchannels show no leaks.

RF foils have suffered plastic deformation up to 14 mm and have to be replaced.

- Major intervention, planning under study Replace now (delay), or replace at the end of the year (run in 2023 with VELO partially open)
- Physics programme of 2023 is significantly affected, commissioning of Upgrade I systems can proceed as planned

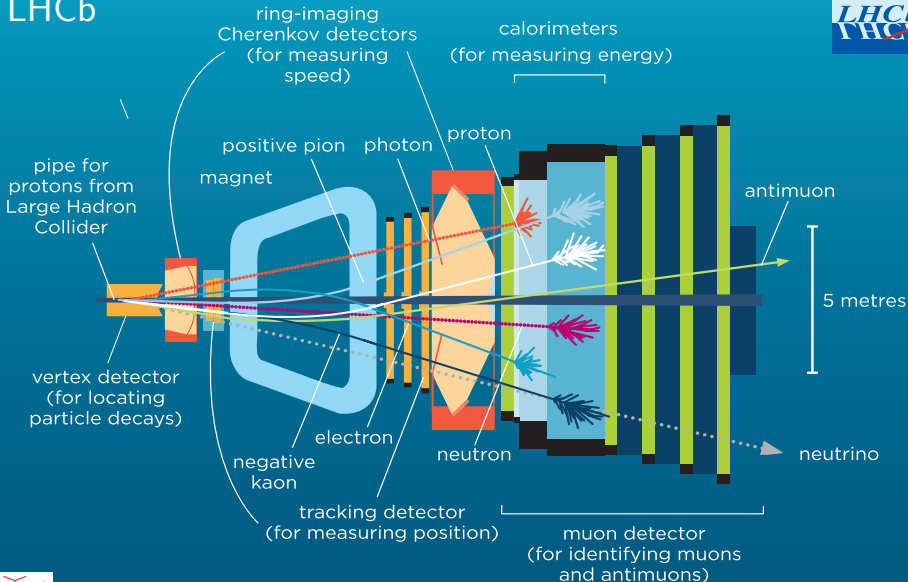




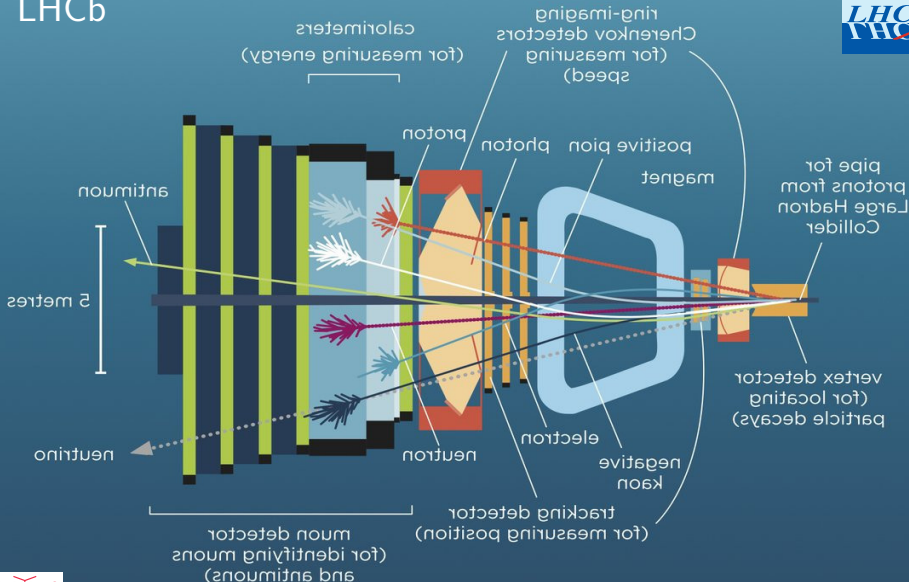


LHCb

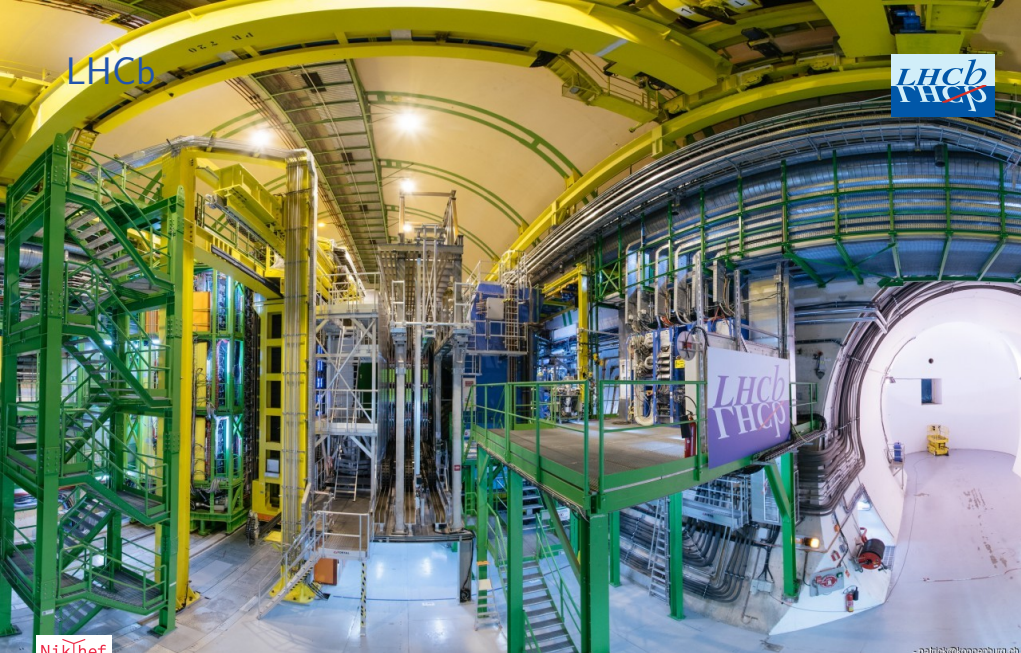
LHCb



LHCb



LHCb



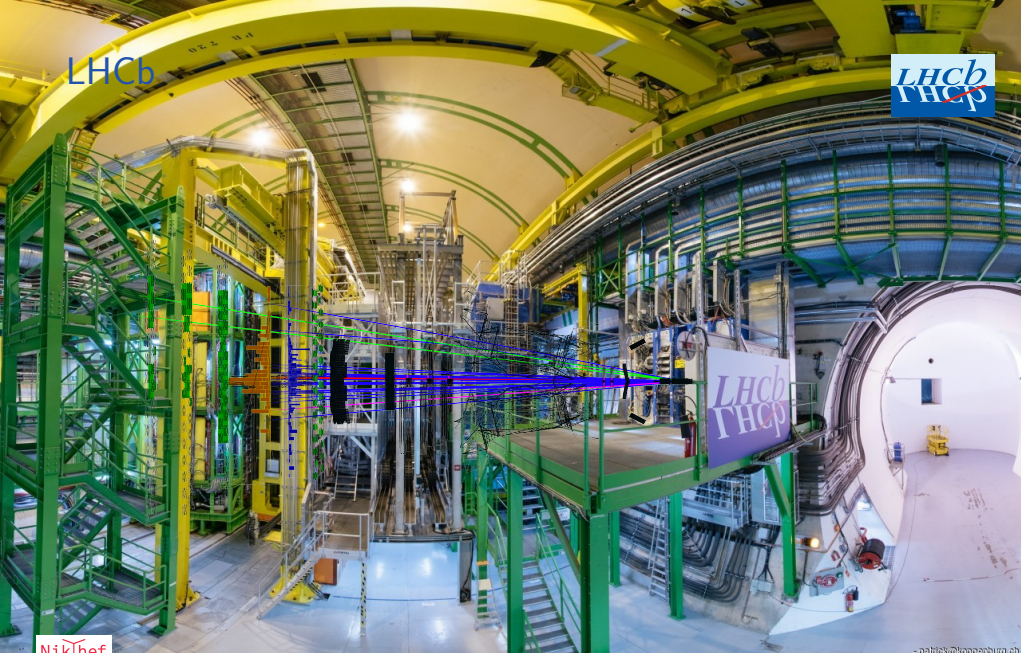
Patrick Koppenburg

Experimental Basis — 1

26/05/2023 — FPCP pre-conference school [42 / 61]

- patrick.koppenburg@cern.ch

LHCb



Patrick Koppenburg

Experimental Basis — 1

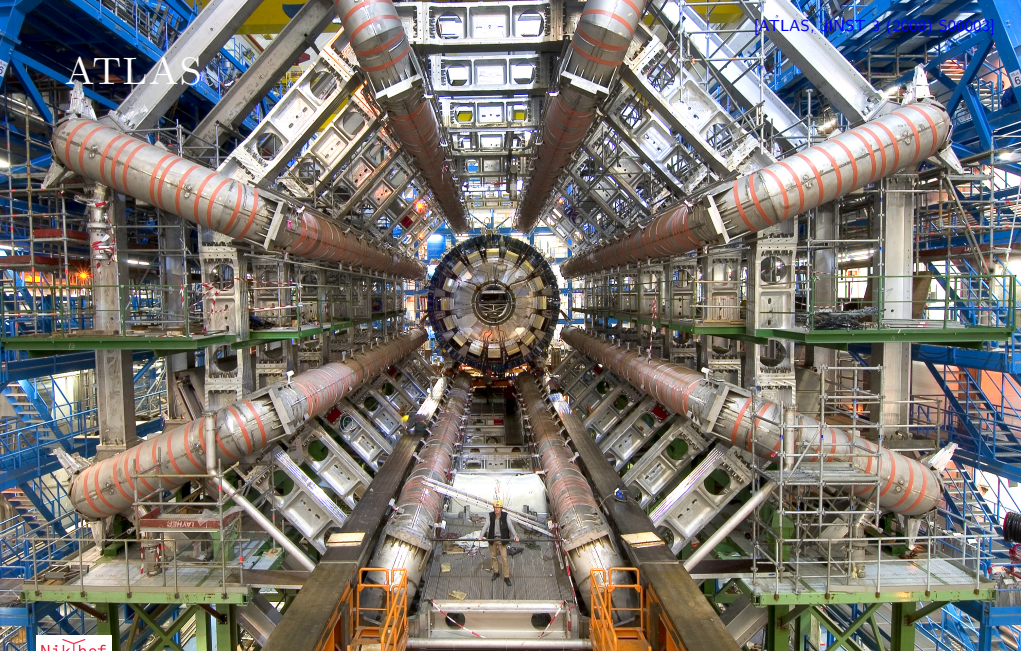
26/05/2023 — FPCP pre-conference school [42 / 61]

- patrick.koppenburg@nikhef.nl

THE LARGE HADRON COLLIDER AT CERN

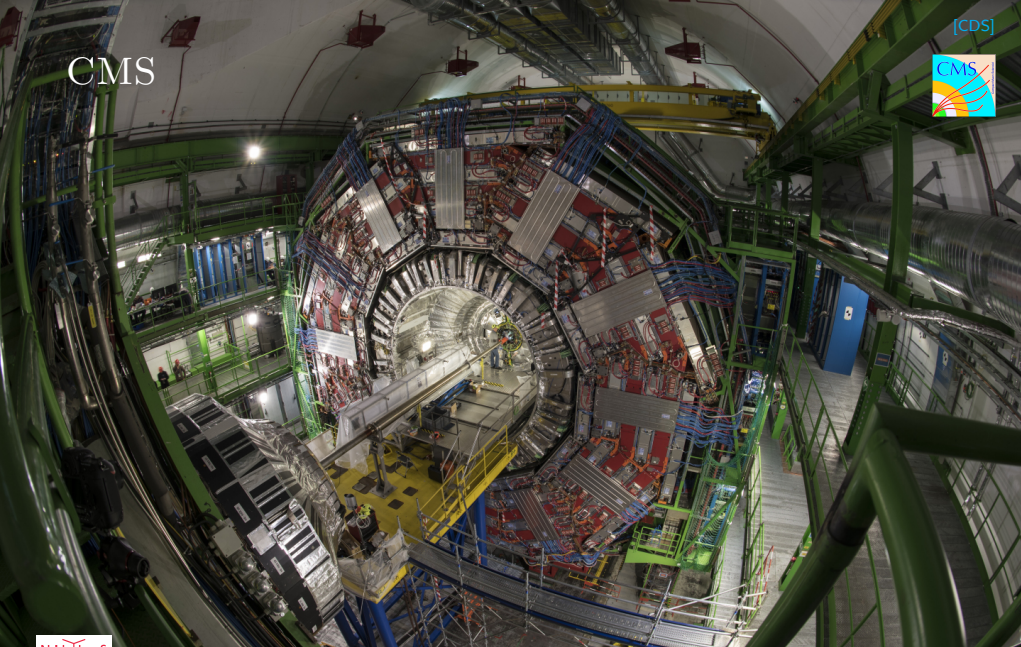


ATLAS





CMS



Belle and Belle II



BELLE CONTROL ROOM (2003)

A long line →

uds
event

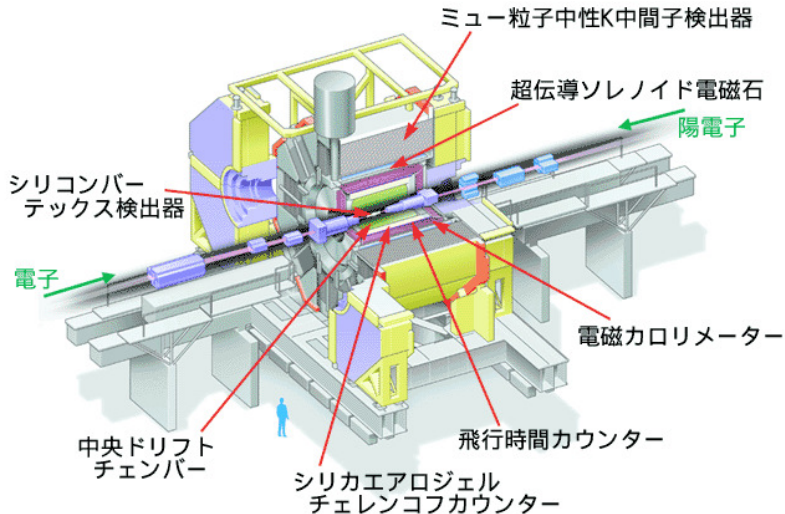
Expert
shifter seat

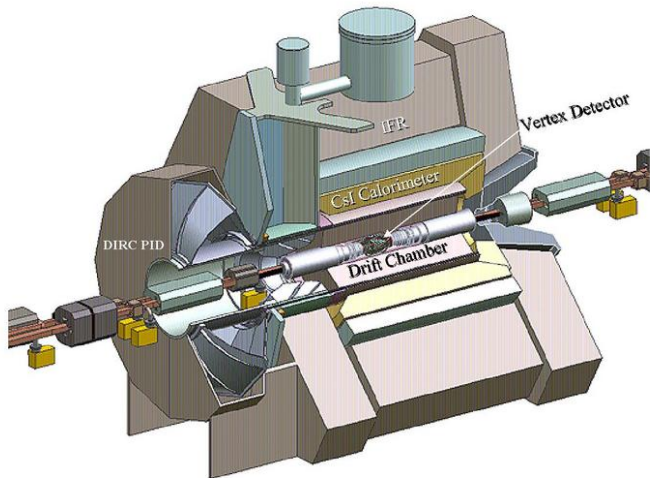
Data
manager

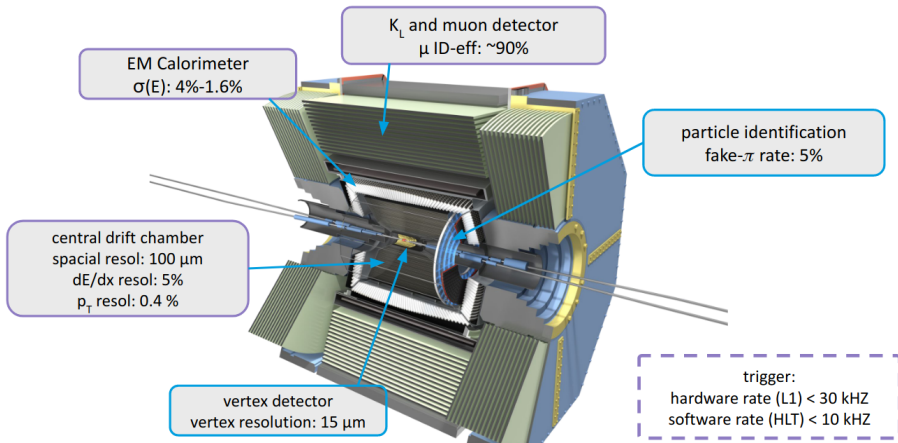
BELLE CONTROL ROOM (2003)



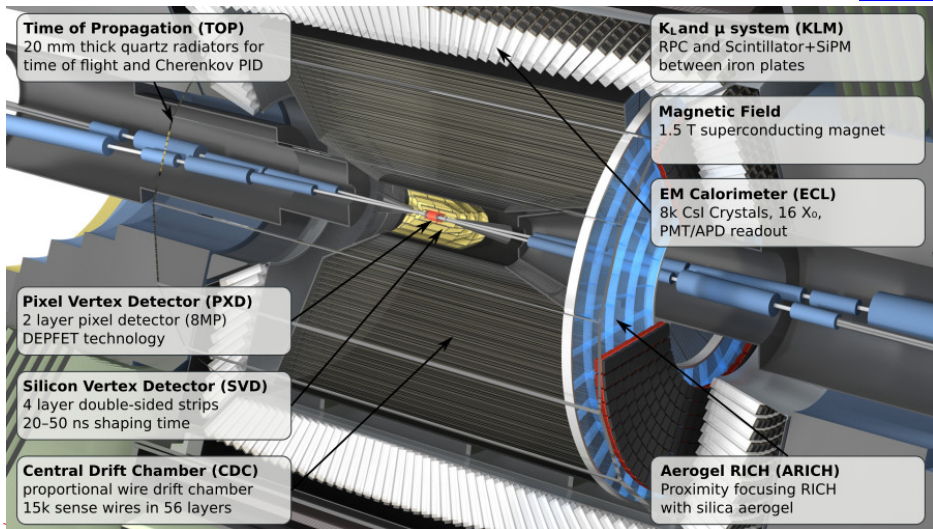
THE BELLE EXPERIMENT



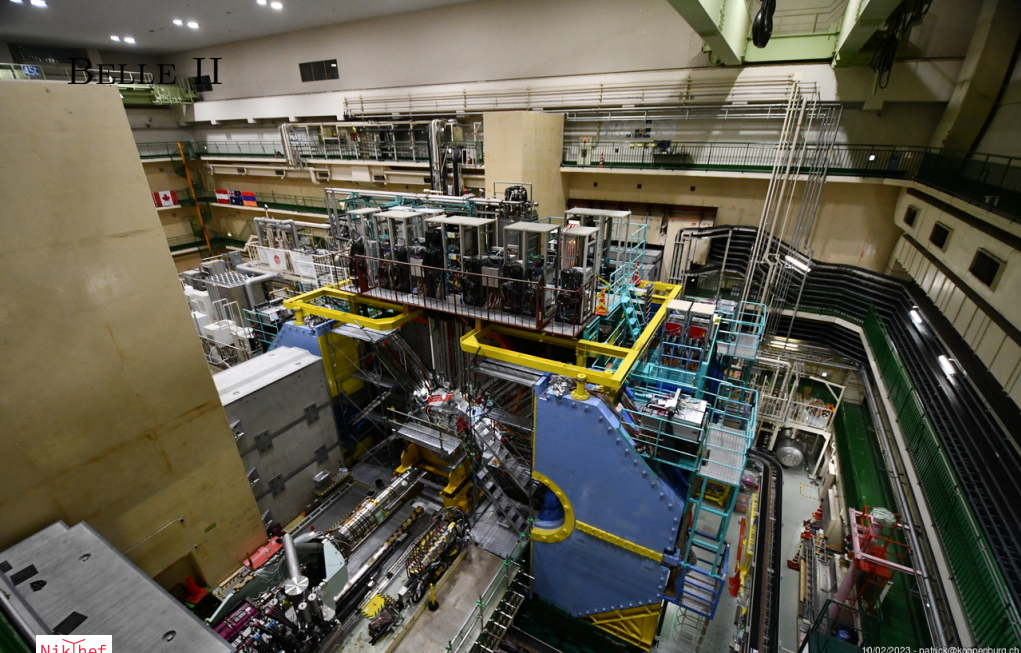




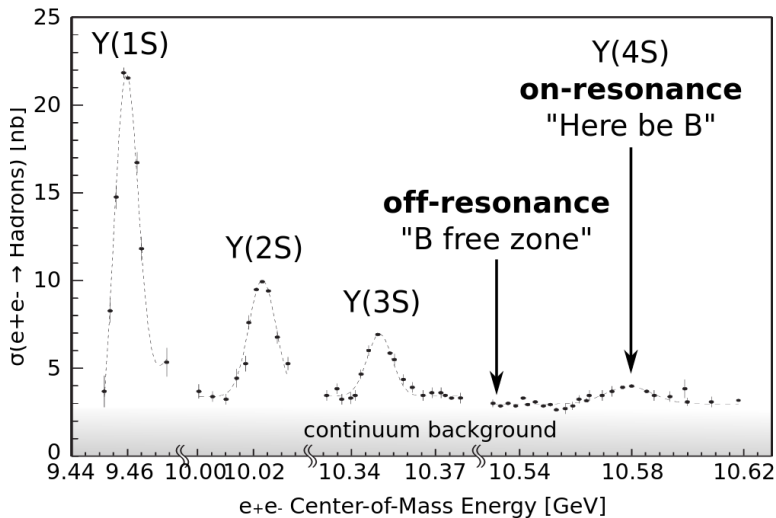
BELLE II

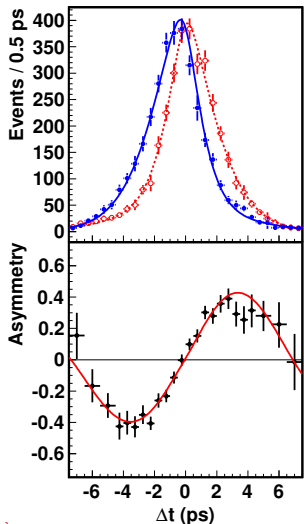


BELLE II



Υ RESONANCES

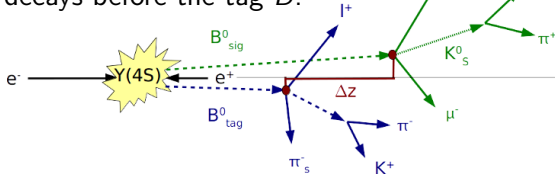




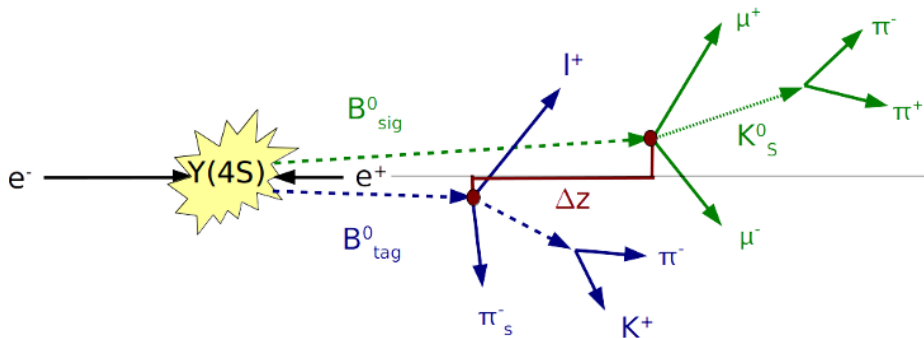
The B^0 and \bar{B}^0 originate from a $\Upsilon(4S)$ resonance. They are produced in a quantum-entangled state of a superposition of B^0 and \bar{B}^0 . The flavour of the one is only fixed once the other decays.

Unlike at the LHC, the clock only starts at the time the other B decays.

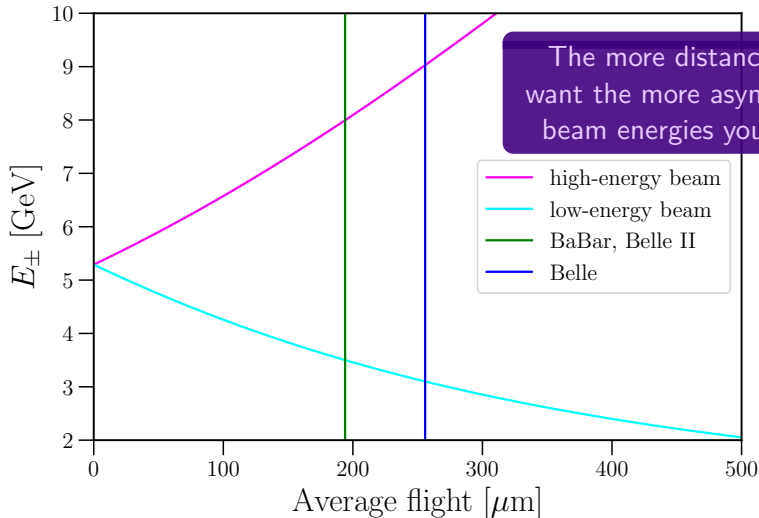
- The difference in flight time is relevant
- This difference can be negative, if the signal B decays before the tag B .



FLIGHT DISTANCE AND BEAM ENERGIES



FLIGHT DISTANCE AND BEAM ENERGIES



The more distance you want the more asymmetric beam energies you need

- high-energy beam
- low-energy beam
- BaBar, Belle II
- Belle

BEAM-CONSTRAINED OBSERVABLES



For B mesons the production process is $e^+e^- \rightarrow \Upsilon(4S) \rightarrow \bar{B}B$ followed by $B \rightarrow XYZ$

The reconstructed mass of the XYZ system must be equal to m_B and the energy in the rest frame to $E_{\text{beam}}^* = \frac{1}{2}\sqrt{s}$.

The second constraint is used by defining

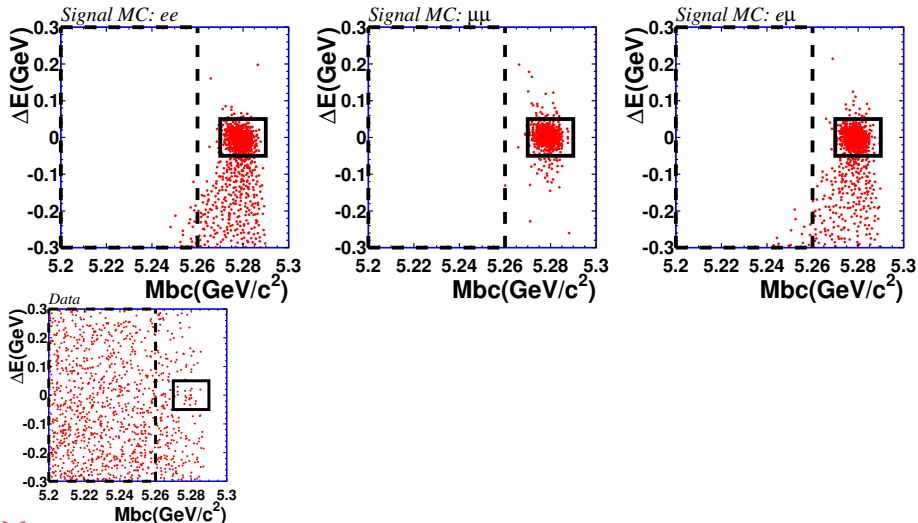
$$\Delta E = E_B^* - E_{\text{beam}}^* = \frac{2p_B^\mu p_\mu^{\text{boost}} - s}{2\sqrt{s}}$$

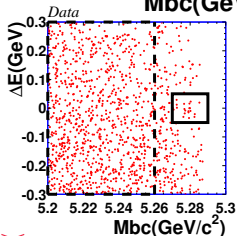
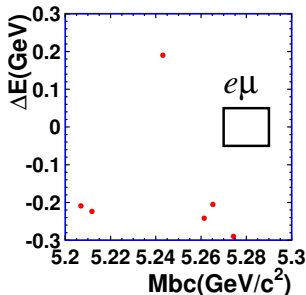
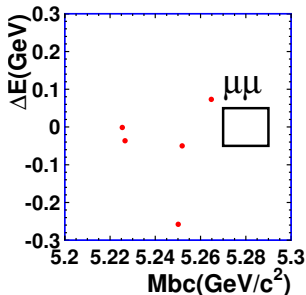
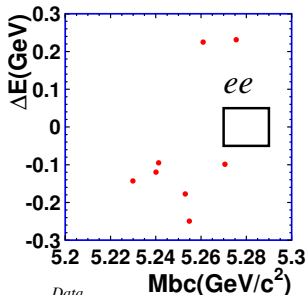
with p_μ the four-momenta of the B and e^+e^- systems.

The B mass is also more precisely determined by replacing the measured B energy by the known beam energy

$$M_{\text{bc}} = \sqrt{E_{\text{beam}}^* - p_B^2}$$

(m_{ES} in BaBar). A well-reconstructed B should have $(M_{\text{bc}}, \Delta E) = (M_B, 0)$

$B \rightarrow \ell^+ \ell^-$ SEARCH AT BELLE

$B \rightarrow l^+ l^-$ SEARCH AT BELLE

$$\mathcal{B}(B \rightarrow e^+ e^-) < 1.9 \times 10^{-8}$$

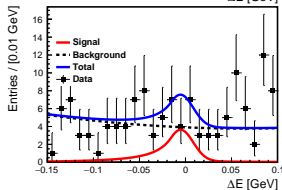
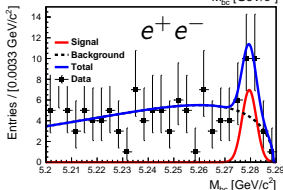
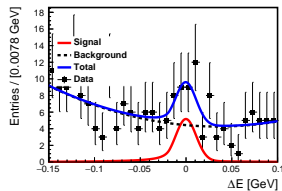
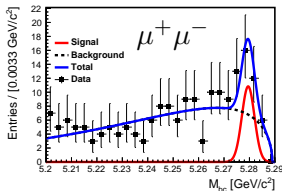
$$\mathcal{B}(B \rightarrow \mu^+ \mu^-) < 1.6 \times 10^{-7}$$

$$\mathcal{B}(B^0 \rightarrow e^\pm \mu^\mp) < 1.7 \times 10^{-7}$$



$B \rightarrow K^* \ell^+ \ell^-$ BRANCHING FRACTIONS

With 189 fb^{-1} (2019–21, 197×10^6 BB pairs)
see 22 $B \rightarrow K^* \mu^+ \mu^-$
and 18 $B \rightarrow K^* e^+ e^-$
using $K^+ \pi^-$, $K_S^0 \pi^0$ and
 $K^+ \pi^0$.

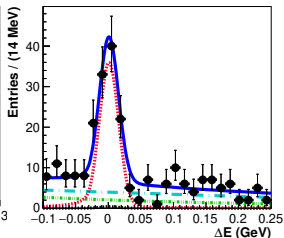
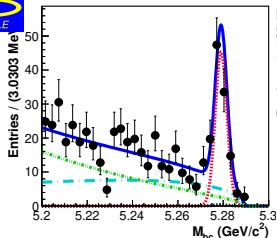


$$\mathcal{B}(B \rightarrow K^* \mu^+ \mu^-) = (1.19 \pm 0.31 \begin{smallmatrix} +0.08 \\ -0.07 \end{smallmatrix}) \times 10^{-6}$$

$$\mathcal{B}(B \rightarrow K^* e^+ e^-) = (1.42 \pm 0.48 \pm 0.09) \times 10^{-6}$$

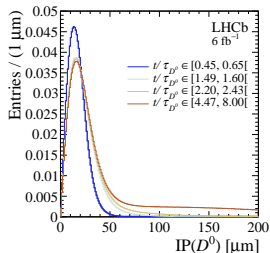
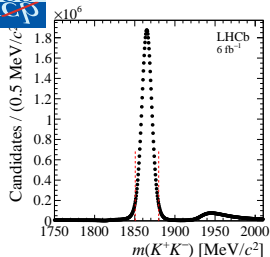
$$\mathcal{B}(B \rightarrow K^* \ell^+ \ell^-) = (1.25 \pm 0.30 \begin{smallmatrix} +0.08 \\ -0.07 \end{smallmatrix}) \times 10^{-6}$$

BELLE AND LHCb



✓ Two handles: mass and B energy in $\Upsilon(4S)$ frame (ΔE)

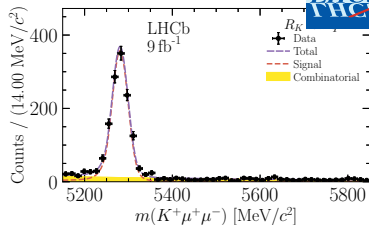
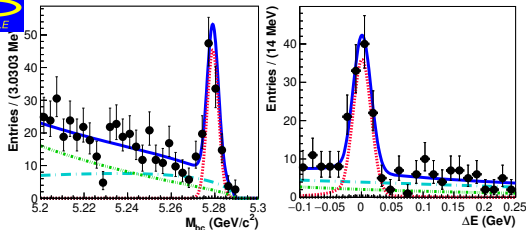
[Belle, JHEP 03 (2021) 105]



✓ Two handles: mass and pointing to PV

[PRD 104 (2021) 072010]

BELLE VERSUS LHCb: $B^+ \rightarrow K^+ \mu^+ \mu^-$



✓ Two handles: B mass and B energy in $\Upsilon(4S)$ frame (ΔE)

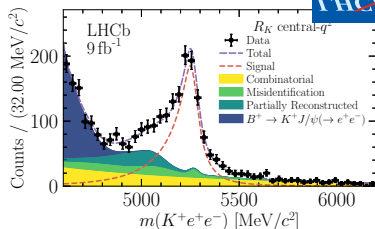
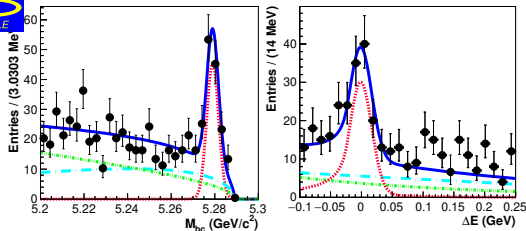
137 signal decays with 711 fb^{-1}

✓ Two handles: B mass and pointing to PV

1900 signal decays with 4 fb^{-1} at 13 TeV

Muons conversion factor: $2.5 \text{ ab}^{-1} \leftrightarrow 1 \text{ fb}^{-1}$

BELLE VERSUS LHCb: $B^+ \rightarrow K^+ e^+ e^-$



✓ Electron channels are as “easy” as muonic

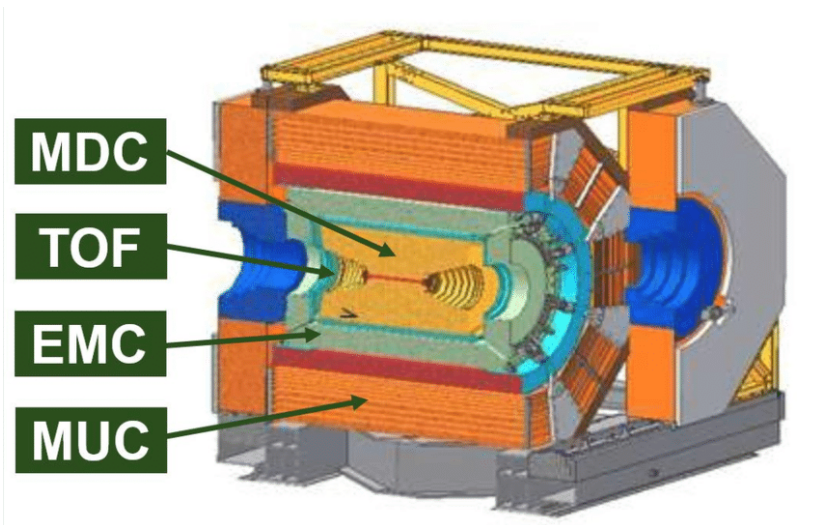
138 signal decays with 711 fb^{-1}

✗ Bremsstrahlung makes electrons much more difficult

800 signal decays with 4 fb^{-1} at 13 TeV

Electrons conversion factor: $1 \text{ ab}^{-1} \leftrightarrow 1 \text{ fb}^{-1}$

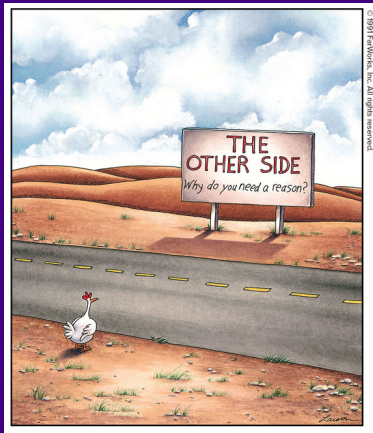
BESIII



Conclusion

- Analyses exploit strengths of experiments
- Experiment designs are driven by physics
- There are multiple choices which leads to complementary experiments

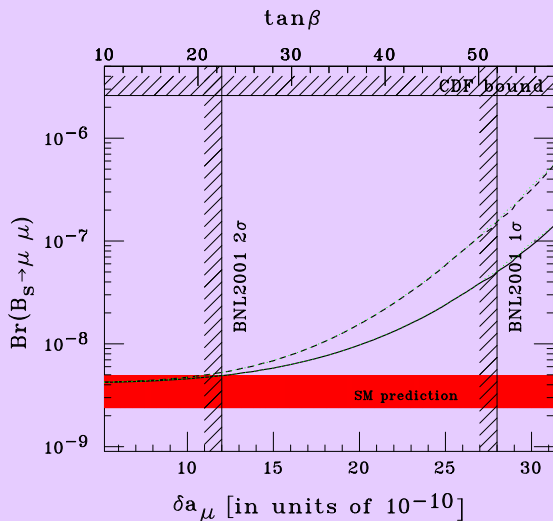
LYON PARTICULE

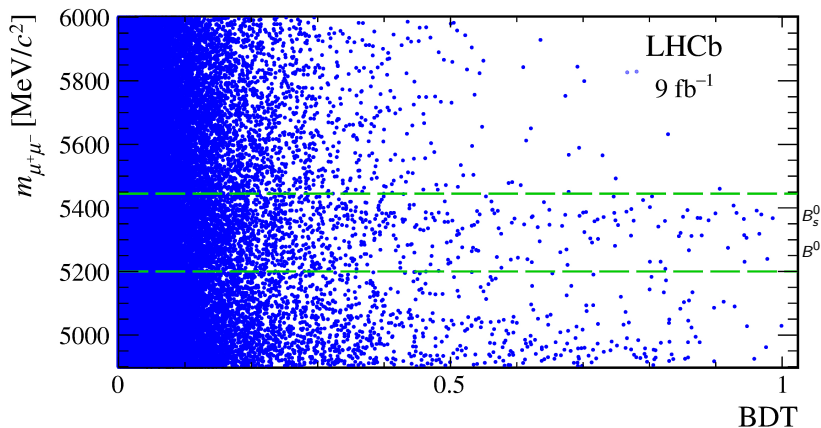


Backup

$B_s^0 \rightarrow \mu^+ \mu^-$ IN MINIMAL SUPERGRAVITY

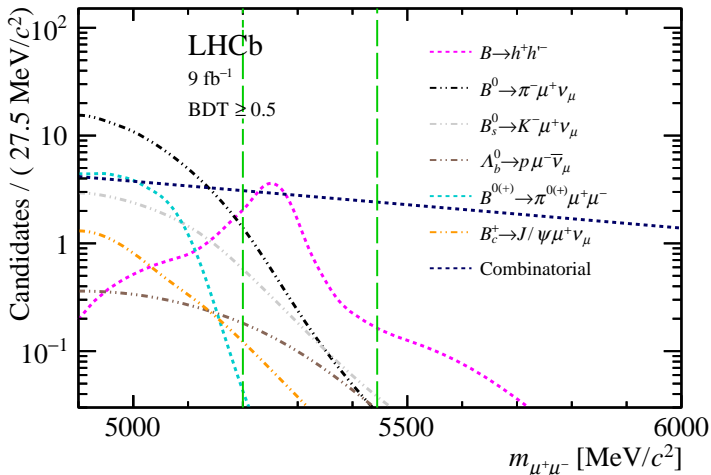
$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)$ versus $\tan \beta$
and a_μ (of $g - 2$)



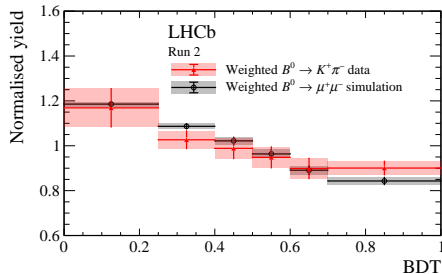
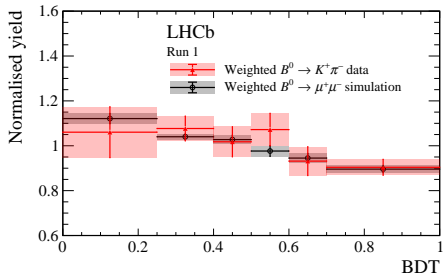
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

$B \rightarrow \mu^+ \mu^-$ search using 2011–2018 data (9 fb^{-1}) is done with a mass fit in bins of BDT output.

[B]

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

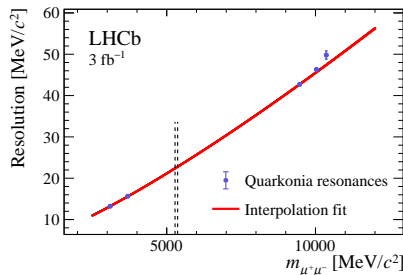
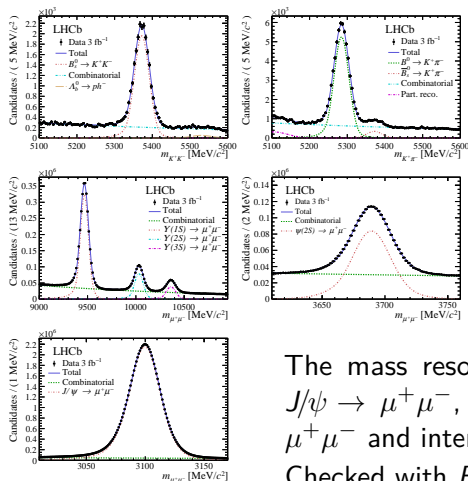
The BDT is optimised to fight combinatorial and specific backgrounds.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

The BDT is calibrated using $B^0 \rightarrow K^+ \pi^-$ decays, which have the same topology and are more abundant.



LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$

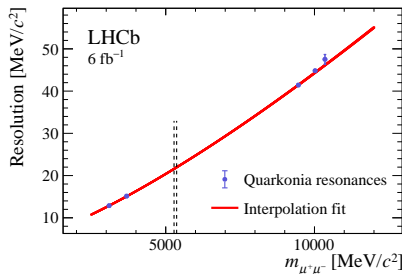
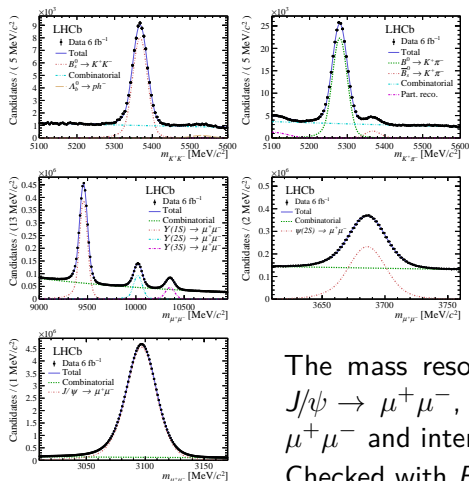


The mass resolution is calibrated using the decays $J/\psi \rightarrow \mu^+ \mu^-$, $\psi(2S) \rightarrow \mu^+ \mu^-$ and $\Upsilon([1, 2, 3]S) \rightarrow \mu^+ \mu^-$ and interpolated to 23 MeV/ c^2 at the B_s^0 mass. Checked with $B^0 \rightarrow K^+ \pi^-$ and $B_s^0 \rightarrow K^+ K^-$. Here for Run 1

[B]

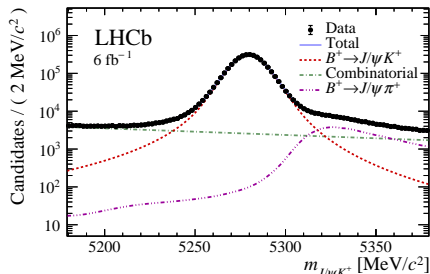
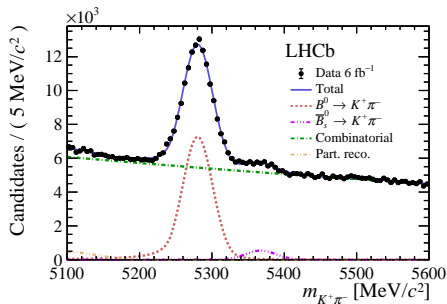


LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$



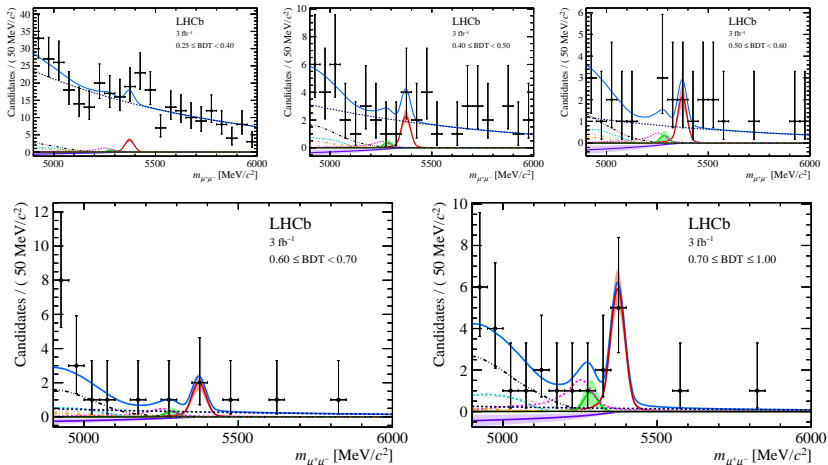
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[B]

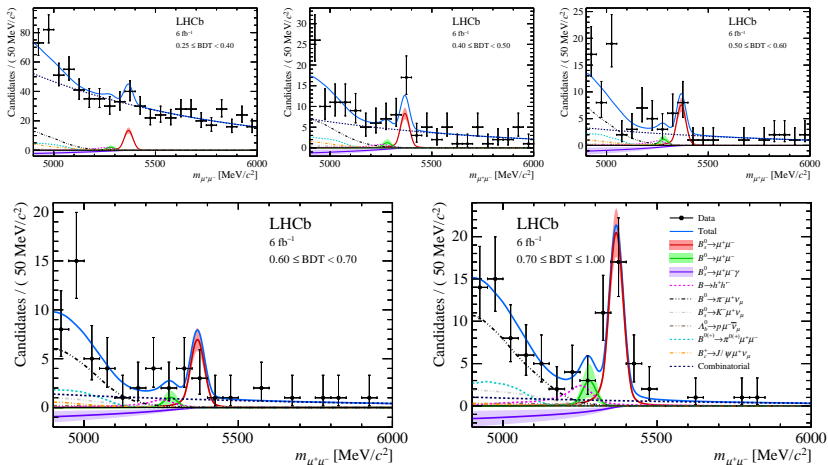
LEGACY MEASUREMENT OF $B_S^0 \rightarrow \mu^+ \mu^-$ 

$B^0 \rightarrow K^+ \pi^-$ and $B^+ \rightarrow J/\psi K^+$ are used to normalise the $B \rightarrow \mu^+ \mu^-$ branching fractions. The factors are $a_{B_S^0 \rightarrow \mu^+ \mu^-}^{\text{norm}} = (2.49 \pm 0.09) \times 10^{-11}$ and $a_{B^0 \rightarrow \mu^+ \mu^-}^{\text{norm}} = (6.52 \pm 0.11) \times 10^{-12}$.

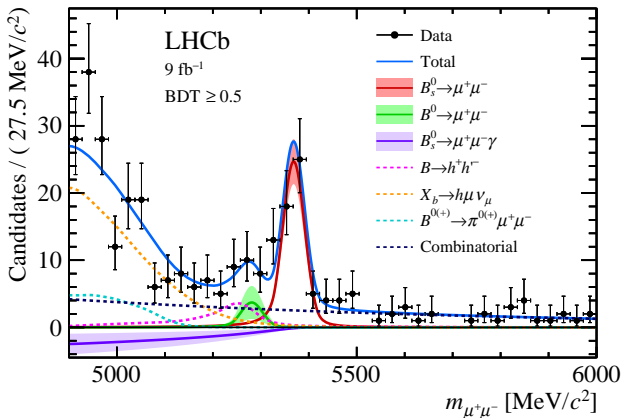
➔ Expecting $148 \pm 8 B_S^0 \rightarrow \mu^+ \mu^-$, $16 \pm 1 B \rightarrow \mu^+ \mu^-$ and about 3 $B_S^0 \rightarrow \mu^+ \mu^- \gamma$

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

Mass fits are performed in bins of BDT output, for Run 1.

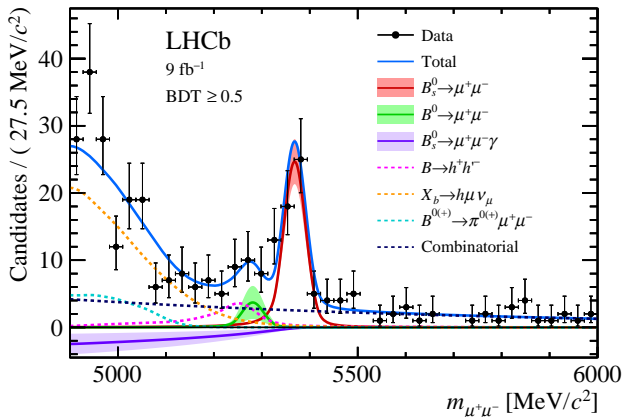
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

Mass fits are performed in bins of BDT output, for Run 2.

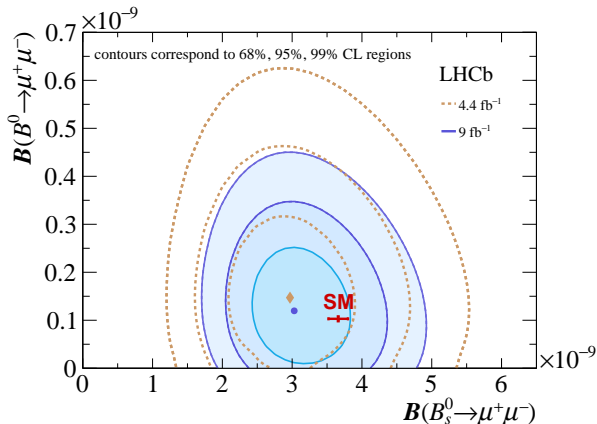
LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

Mass plot shows candidates with $\text{BDT} > 0.5$.

The significances are 10σ for $B_s^0 \rightarrow \mu^+ \mu^-$ and 1.7σ for $B^0 \rightarrow \mu^+ \mu^-$.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

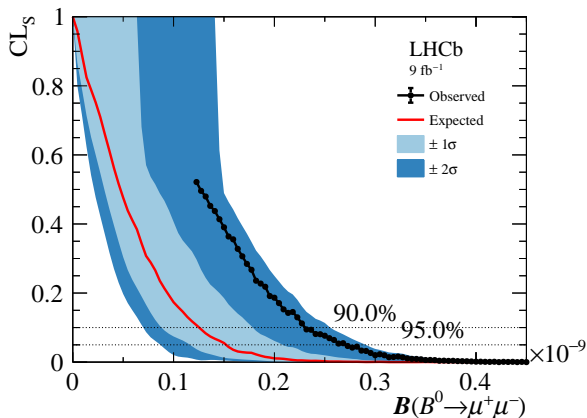
The results $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.09^{+0.46}_{-0.43} +^{0.15}_{-0.11}) \times 10^{-9}$ and $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) = (1.2^{+0.8}_{-0.7} \pm 0.1) \times 10^{-10}$ are consistent with the SM.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

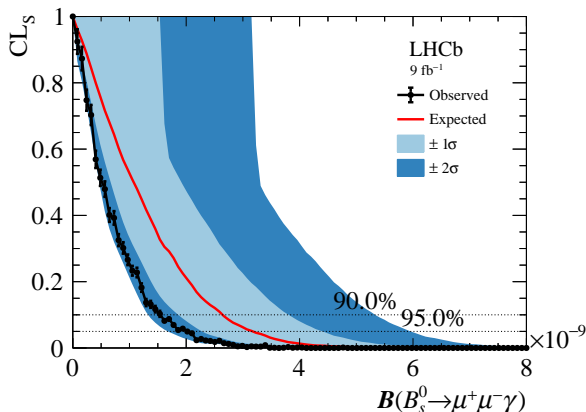
[Beneke, Bobeth, Szafron, JHEP 10 (2019) 232]

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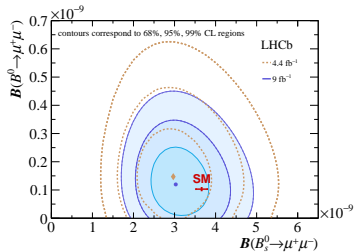
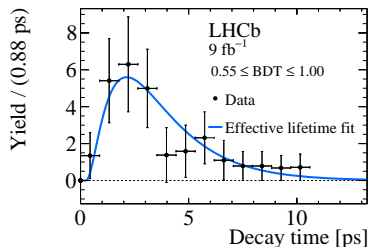
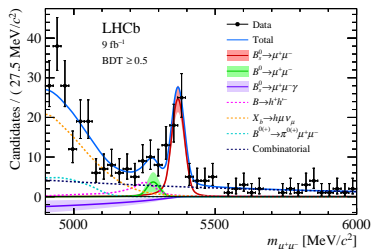
[B]

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

As no excess of $B^0 \rightarrow \mu^+ \mu^-$ is found, a limit at 2.6×10^{-10} at 95% confidence level is set.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)_{m(\mu^+ \mu^-) > 4.9 \text{ GeV}} = (-2.5 \pm 1.4 \pm 0.8) \times 10^{-9}$. As no excess is found, a limit at 2.0×10^{-9} at 95% confidence level is set.

LEGACY MEASUREMENT OF $B_s^0 \rightarrow \mu^+ \mu^-$ 

With 2011–2018 LHCb data (9 fb^{-1}):

$$B(B_s^0 \rightarrow \mu^+ \mu^-) = (3.09^{+0.46}_{-0.43} + 0.15_{-0.11}) \times 10^{-9}$$

$$B(B^0 \rightarrow \mu^+ \mu^-) = (1.2^{+0.8}_{-0.7} \pm 0.1) \times 10^{-10}$$

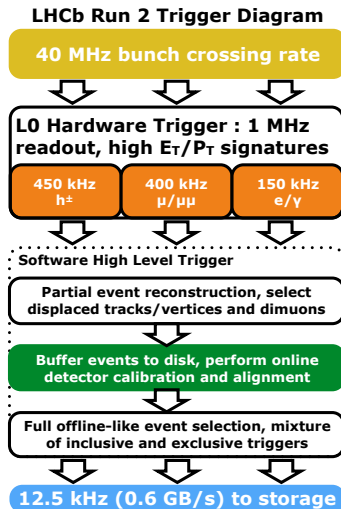
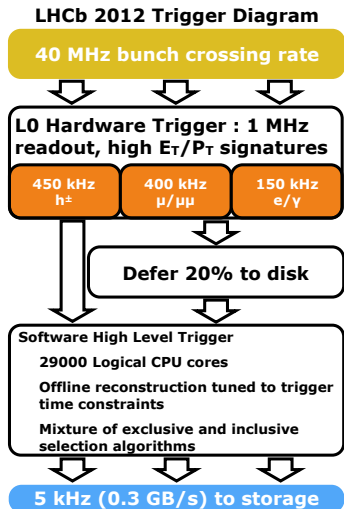
Effective lifetime:

$$\tau_{B_s^0 \rightarrow \mu^+ \mu^-}^{\text{eff}} = 2.07 \pm 0.29 \pm 0.03 \text{ ps}$$

[B]



LHCb TRIGGER IN RUN 2

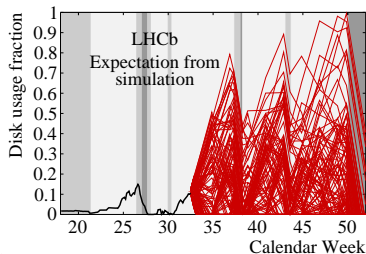




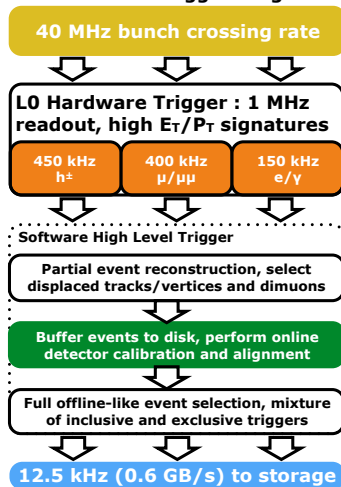
LHCb TRIGGER IN RUN 2

Events are buffered on disk (10 PB) while calibrations are being run.

- Offline-quality trigger objects available for analysis.
- Disk → more CPU. The full reconstruction can also be run during LHC downtime.



LHCb Run 2 Trigger Diagram

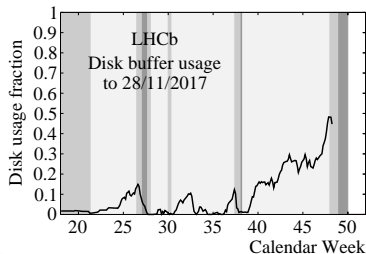




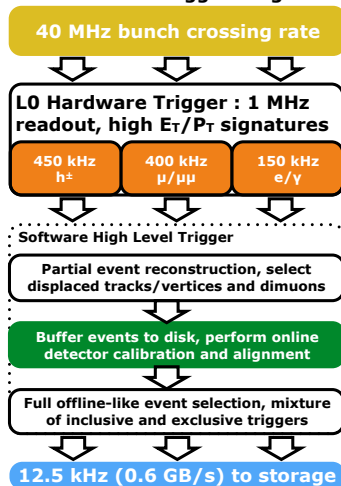
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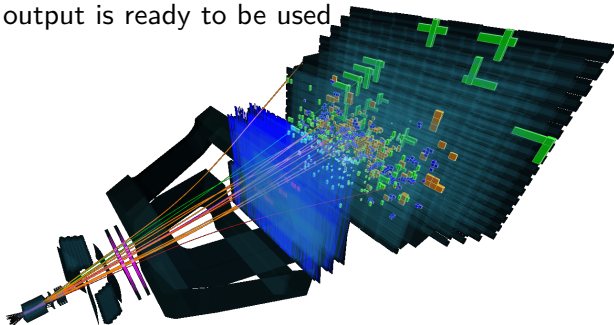


LHCb Run 2 Trigger Diagram



TURBO

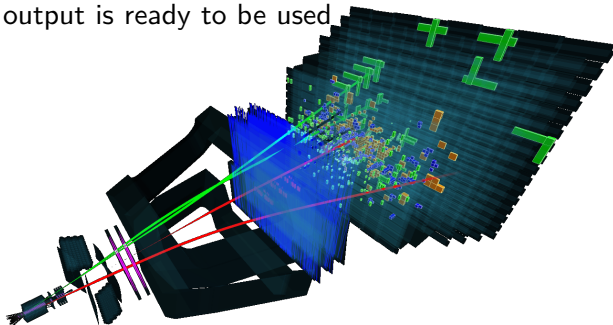
We perform a full calibration in real time. The output is ready to be used for physics.



Plenty of collision events discarded, while the interesting are kept.

TURBO

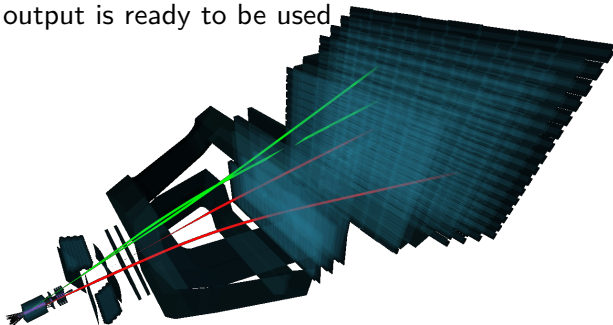
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TURBO then stores only the information needed for the analysis
→ Huge savings in time and cost

TURBO

We perform a full calibration in real time. The output is ready to be used for physics.



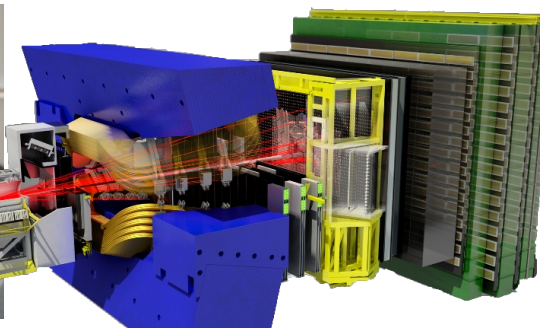
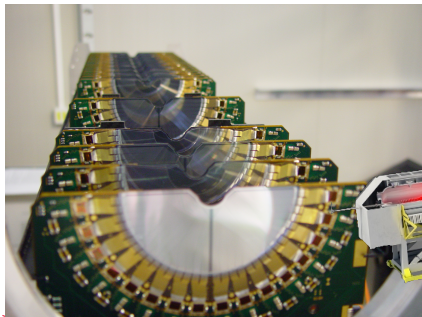
TURBO then stores only the information needed for the analysis
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LHCb DETECTOR (RUN 1–2)



Forward detector: many b hadrons produced forward at LHC, $(144 \pm 1 \pm 21) \mu\text{b}$ in acceptance at 13 TeV [PRL 118 (2017) 052002]

- Warm dipole magnet. Polarity can be reversed
- ✓ Good momentum and position resolution [JINST 10 (2015) P02007]
 - Vertex detector gets 8mm to the beam

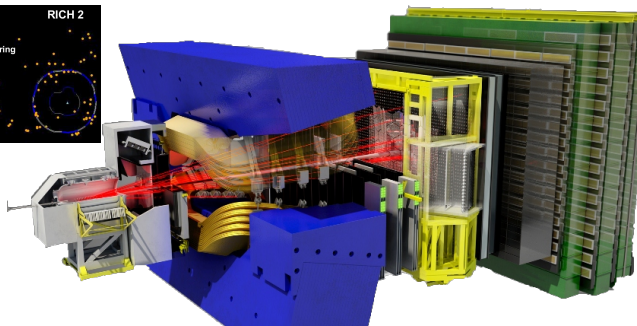
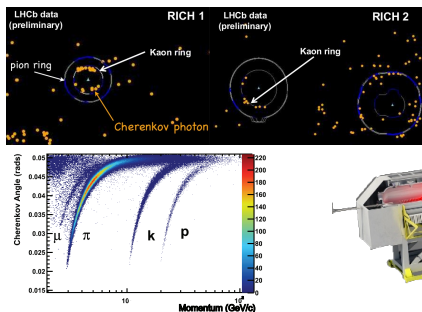


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- ✓ Good momentum and position resolution [JINST 10 (2015) P02007]
- ✓ Excellent Particle ID [EPJC 73 (2013) 2431]



*Rien ne doit déranger
un honnête homme qui boit*







































$$M_{\mu\nu} = \frac{1}{2}(\lambda_{\mu\nu} + \lambda_{\nu\mu})$$

$$\omega_{\mu\nu} = \frac{1}{2}(\lambda_{\mu\nu} - \lambda_{\nu\mu})$$

$$\int_{\mathcal{C}} \omega_{\mu\nu} ds = \int_{\mathcal{C}} \frac{1}{2}(\lambda_{\mu\nu} - \lambda_{\nu\mu}) ds$$



$$Q_7 = \frac{1}{2} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix} \begin{pmatrix} 1 \\ 1 \end{pmatrix}$$

