

JOINT MEASUREMENT OF $R(D)$ *vs.* $R(D^*)$ USING $\tau \rightarrow \mu\nu\bar{\nu}$ AT LHCb

IMPLICATIONS OF LHCb MEASUREMENTS
AND FUTURE PROSPECTS

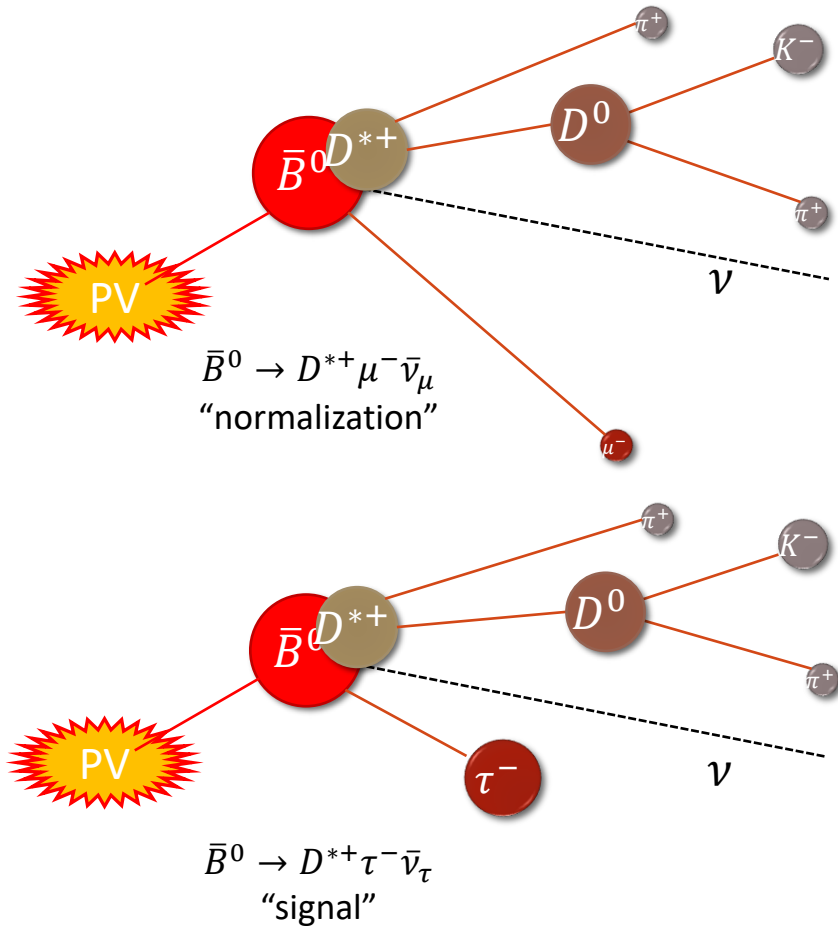
WEDNESDAY 19 OCTOBER 2022

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UNIVERSITY OF MARYLAND/LHCb



LFU in Semileptonic B Decays

$$R(D^{(*)}) \equiv \frac{\mathcal{B}(\bar{B}^0 \rightarrow D^{(*)} \tau^- \bar{\nu}_\tau)}{\mathcal{B}(\bar{B}^0 \rightarrow D^{(*)} \mu^- \bar{\nu}_\mu)}$$



○ **Theoretically clean** due to substantial cancellation of form factor uncertainty

- Helicity-suppressed amplitudes as well as the FFs in the low q^2 normalization region don't cancel

• $\tau^- \rightarrow \mu^- \bar{\nu}_\ell \nu_\tau$ submode

- Direct normalization from identical (visible) final state
- Must disentangle from $\bar{B}^0 \rightarrow D^{*+} \mu^- \bar{\nu}_\mu$ in fit

○ $\tau^- \rightarrow \pi^- \pi^+ \pi^- (\pi^0) \nu_\tau$ submode

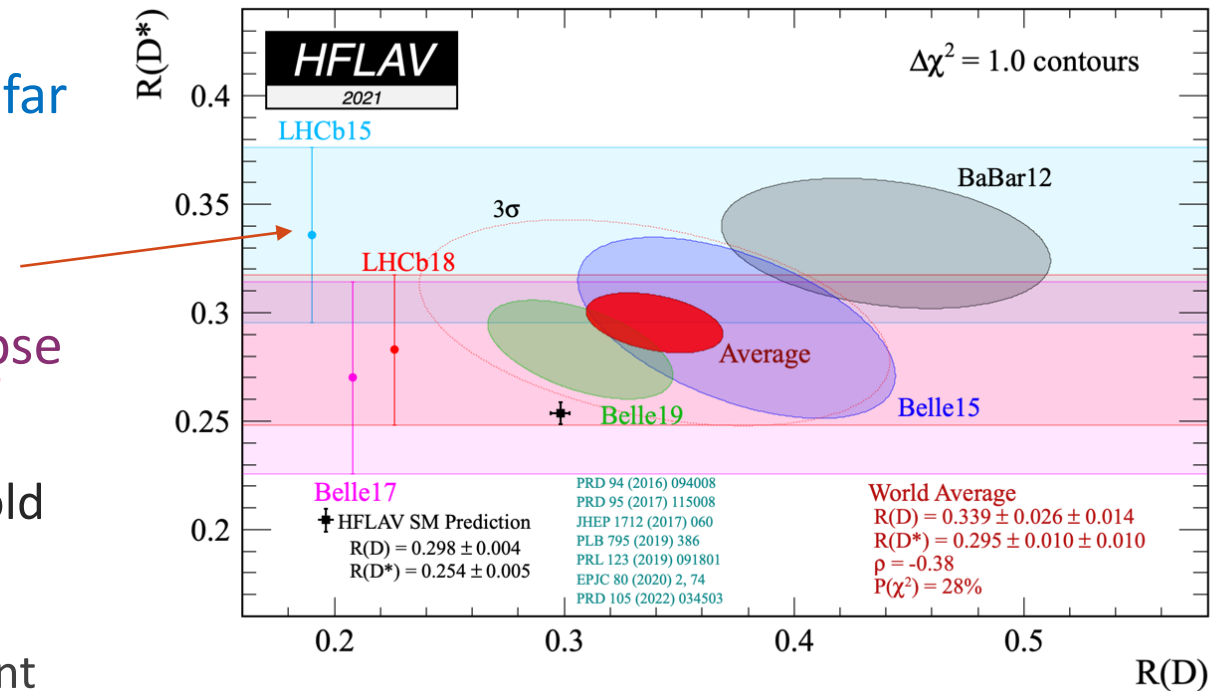
- Clear signature at LHCb: higher signal purity, more kinematic constraints
- Reliant on external measurements to get back $R(D^*)$

• **Challenges: missing neutrinos**

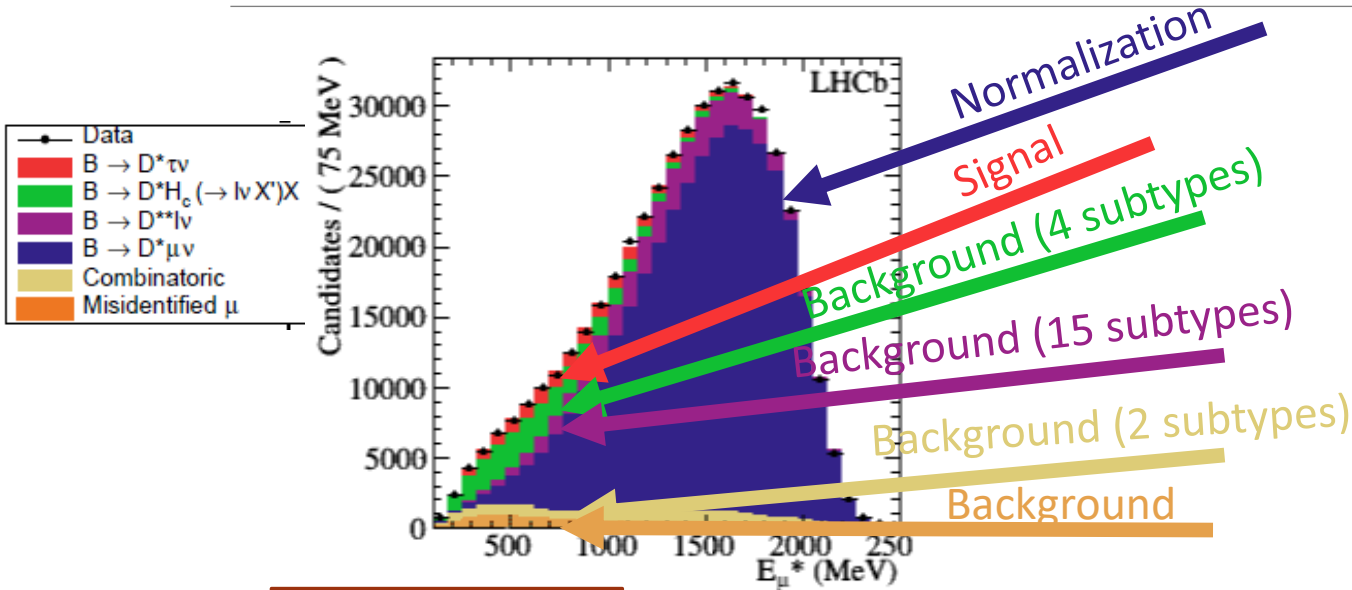
- Don't know full momentum -> unknown rest frame
- Large partially-reconstructed B backgrounds

Background

- Situation with $\bar{B} \rightarrow X_c \tau \nu$ (“semitauonic”) decays evolving year by year
- Two Run-1 measurements of $R(D^*)$ from LHCb so far
 - $\tau^- \rightarrow \mu^- \nu \bar{\nu}$ and $\tau^- \rightarrow \pi^- \pi^+ \pi^- (\pi^0) \nu$
- This analysis: extend LHCb Run1 muonic measurement (‘LHCb15’) from 1D band to 2D ellipse via a simultaneous fit to disjoint $D^0 \mu^-$ and $D^{*+} \mu^-$ samples
 - $D^{*+} \mu^-$ same data sample (+ new tricks) as 2015 -> old measurement to be superseded
 - Pathfinder analysis on Run1
 - Procedure ready for larger datasets without significant new machinery
- As with 2015 measurement, have 2 fitters extensively cross-checked against one-another



Challenges



PRL 115 (2015) 111803

D^* feed-down after isolation, veto

$$\frac{B^- \rightarrow D^{*0} [\rightarrow D^0 (\pi^0 / \gamma)] \mu \bar{\nu}}{B^- \rightarrow D^0 \mu \bar{\nu}} \approx 2.5$$

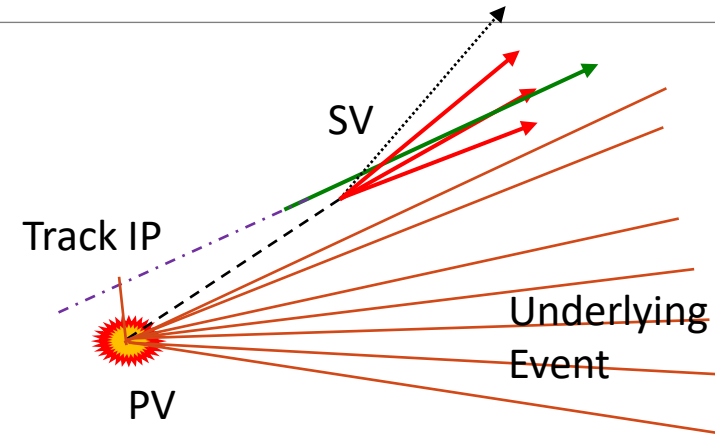
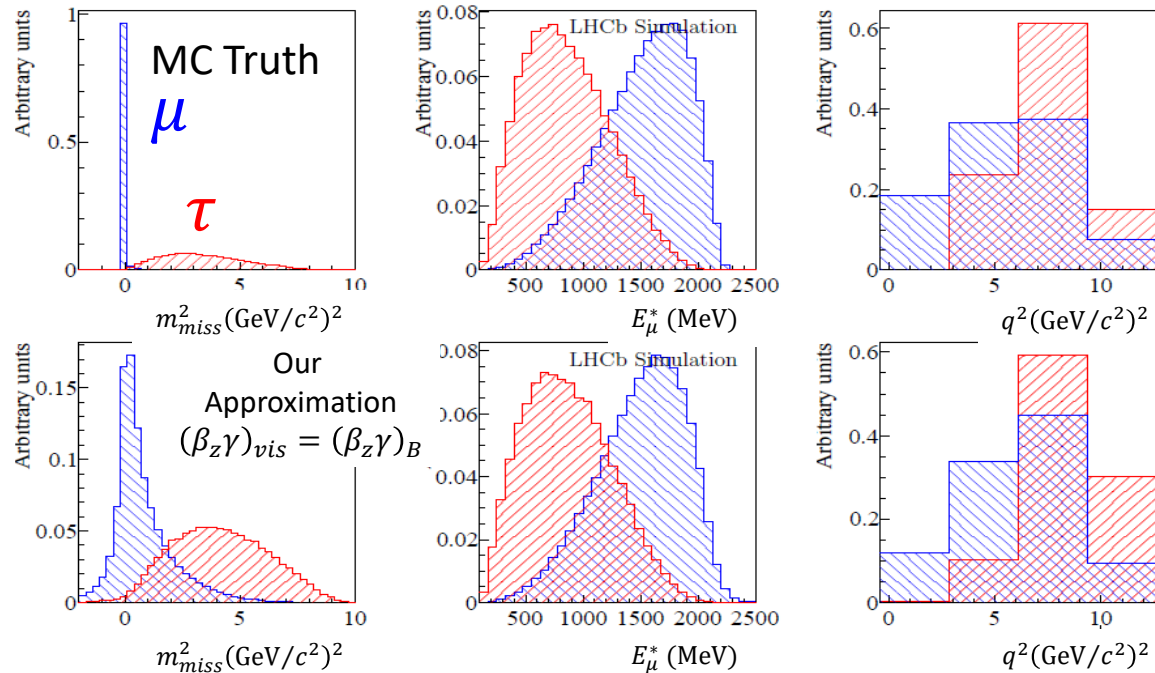
$$\frac{B^0 \rightarrow D^{*+} [\rightarrow D^0 \pi_{missing}^+] \mu \bar{\nu}}{B^- \rightarrow D^0 \mu \bar{\nu}} \approx 0.125,$$

- Both a precision measurement and an inclusive analysis at high statistics
 - Every background source must be understood in exacting detail to even see the signal

- $B^- \rightarrow D^0 \tau^- \bar{\nu}$ background structure much more complicated
 - $\bar{B} \rightarrow D^{*0} \mu X$ always present in $D^0 \mu^-$ sample (75% of the sample!)
 - Three separate “signal” categories all kinematically similar!

- $D^0 \mu^-$ sample is 5x larger than $D^{*+} \mu^-$
 - Already as big a jump as Run1->Run2 for many analyses

LHCb Technique



LHCb-PAPER-2015-025 supplemental

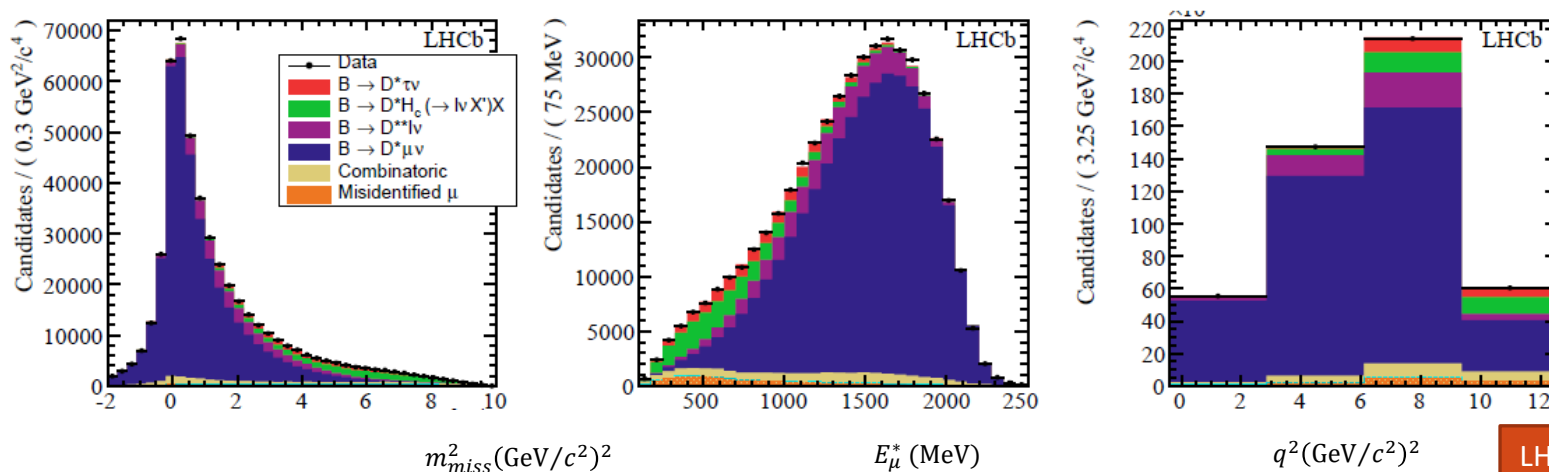
- No information on initial B momentum to reconstruct the discriminating variables
 - Key: Resolution on rest frame variables doesn't matter much because distributions are broad to begin with -- well-behaved approximation will still preserve differences for fit
 - Approximation + knowledge of direction from PV to SV => solve for full B momentum
- Use superb tracking system to fight huge partially-reconstructed background
 - Scan over every track and compare against $D^{*+} \mu^-$ vertex with machine-learning alg.
 - Allows for cleaner signal sample *and* data control samples enriched in key backgrounds



EXTRA TRACKS

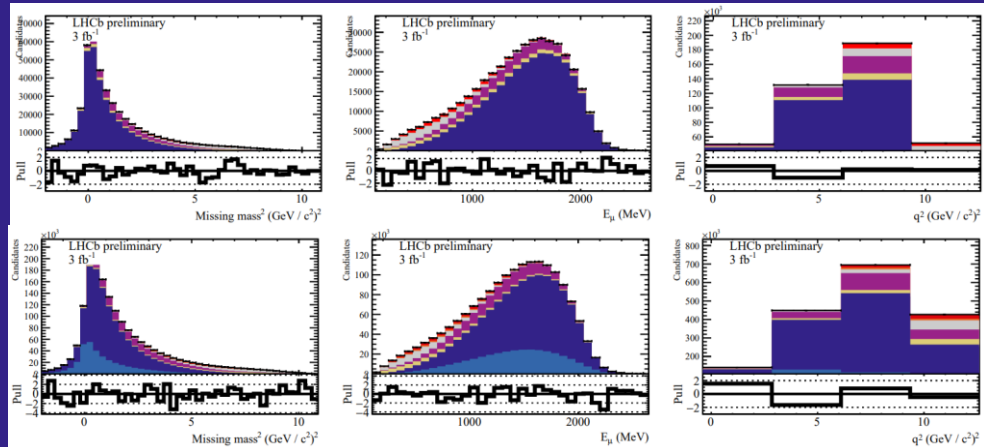
Fitting the data

- Using rest frame approximation, construct 3D “template” histograms for each process contributing to $D^{*+}\mu^-$ or $D^0\mu^-$
 - Signal, normalization, and partially reconstructed backgrounds use simulated events, other backgrounds use control data
 - Templates are functions of any relevant model parameters via interpolation between histograms generated with different fixed values of those parameters
- 8-way simultaneous maximum-likelihood fit to (2x) isolated signal regions, (2x3x) anti-isolated control regions
 - Shape parameters shared, yields independent in each sample

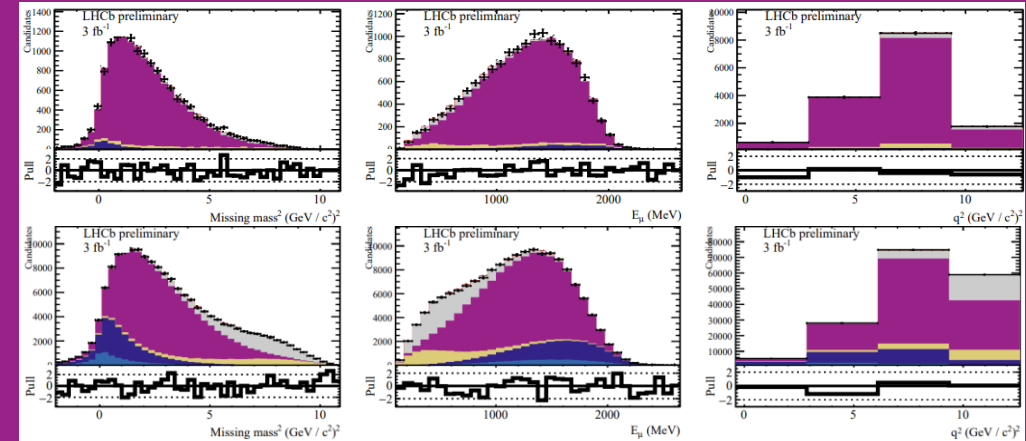


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Signal - ISO



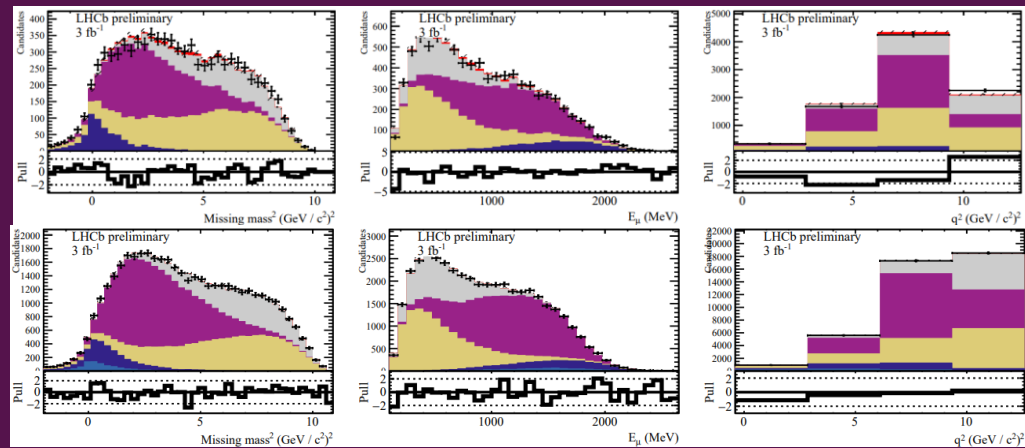
$D^{(*)}\mu + \pi - 10S$



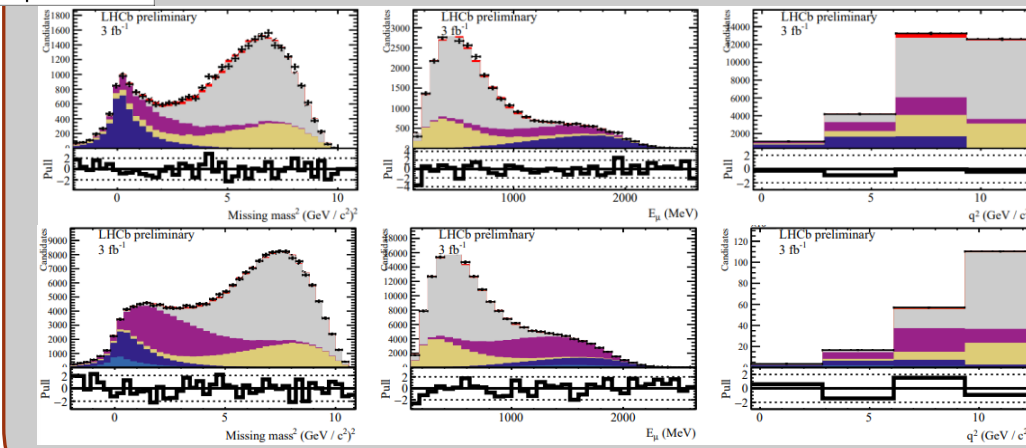
- $B \rightarrow D^0 \mu \nu$
- $B \rightarrow D^{*0} \mu \nu$
- $B \rightarrow D^{*+} \mu \nu$
- Comb. + Fake
- $B \rightarrow D \mu \nu$
- $B \rightarrow D^0 D X$
- $B \rightarrow D^* \tau \nu$
- $B \rightarrow D \tau \nu$
- ▨ Template stats

o-PAPER-2022-039 supplementary (in preparation)

$D^{(*)}\mu^- + \pi^- \pi^+ - 20S$



$D^{(*)}\mu + K(X) - \text{“DD”}$



New Technology

New technology: data/simulation corrections

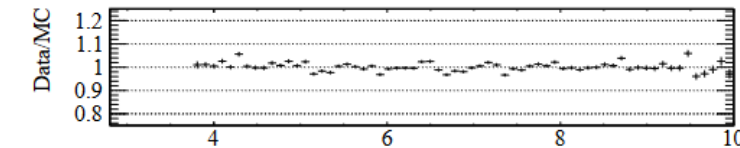
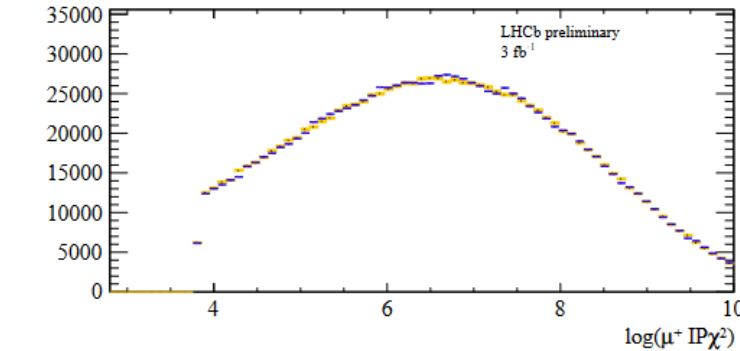
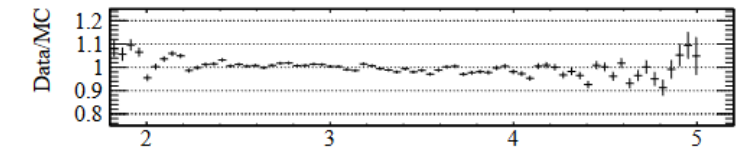
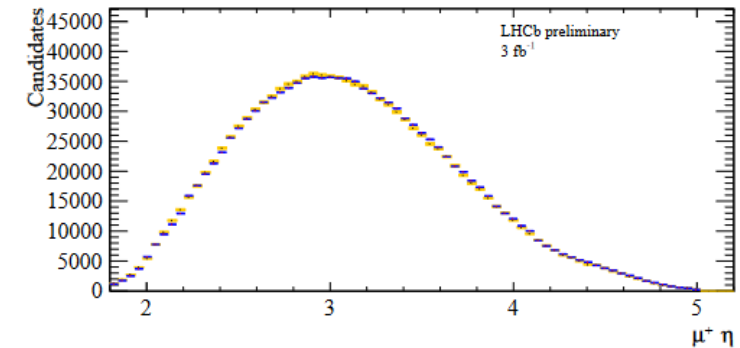
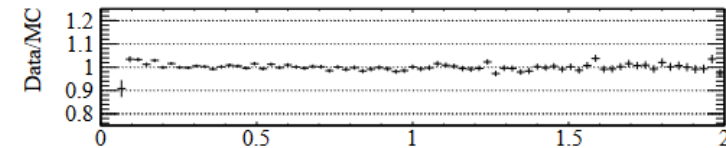
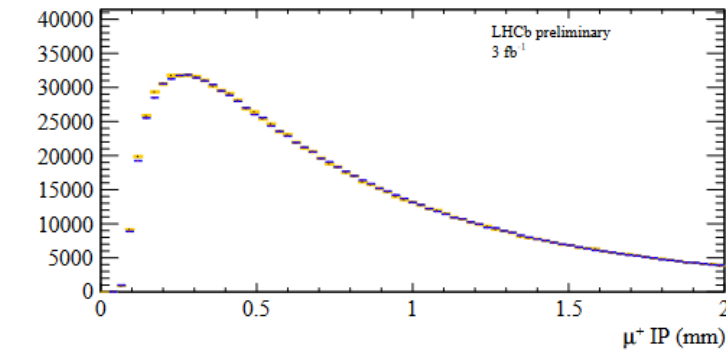
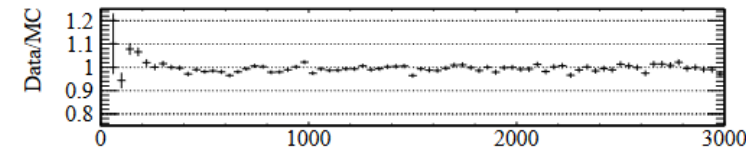
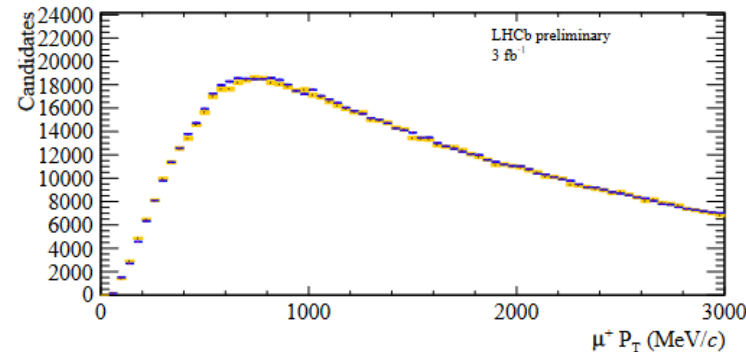
LHCb-PAPER-2022-039 supplementary (in preparation)

■ New Data/MC correction recipe:

- B hadron kinematics correction from $J/\psi K$ control samples
- Final correction from normalization-rich isolated data

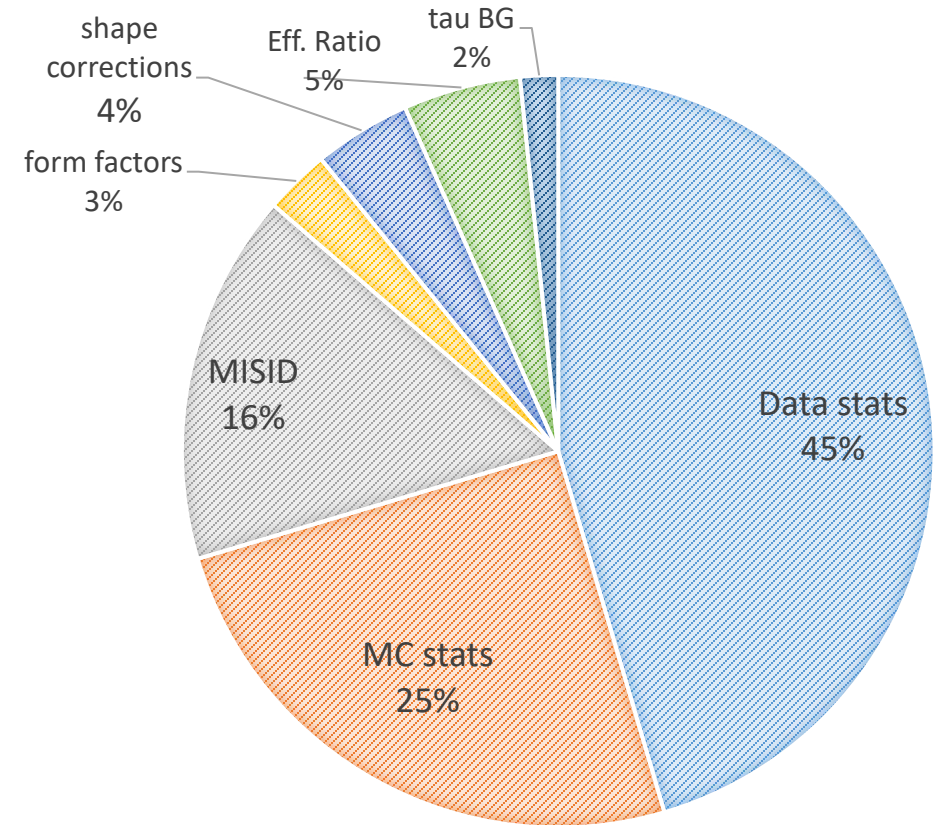
■ Extensively tested

- Checked by correcting deliberately-broken MC vs nominal MC
- single correction at low missing mass fixes both normalization and double-charm MC



New Technology: misID

- Two-prong approach to reduce systematic from hadron to muon misidentification (“misID background”)
 - Reduce contamination
 - Improve modeling
- Dedicated multivariate selector trained using uBoost for flatness in muon P/PT
 - ANN PID tends to learn PT bias in training samples and strongly reject low-PT candidates (our signal!)
 - Rapidly-varying PID efficiencies difficult to model with finite control samples
 - Rejects 50% of background retained by the 2015 muon PID



2015 Measurement uncertainty budget (squared contributions)



FAKE MUONS

- “Waste not want not” – use the rejected data to study this background

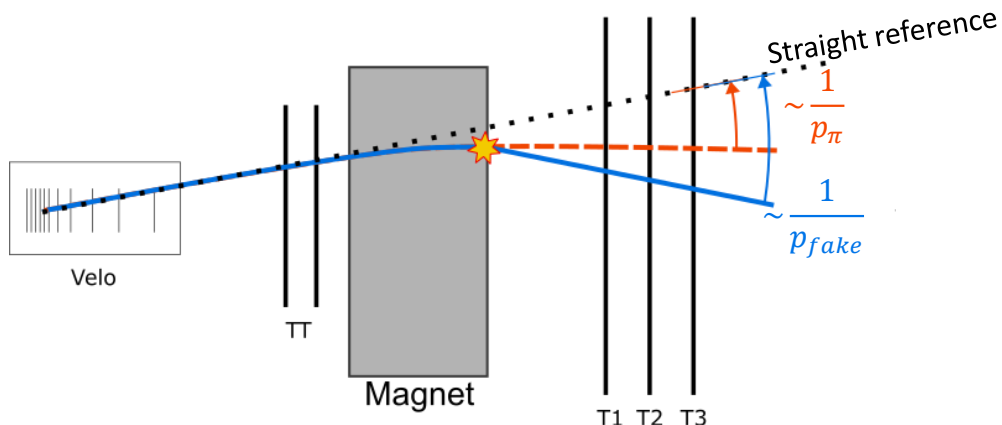
New Technology: misID

MisID background modelled with improved data-driven approaches using MUON-vetoed control data

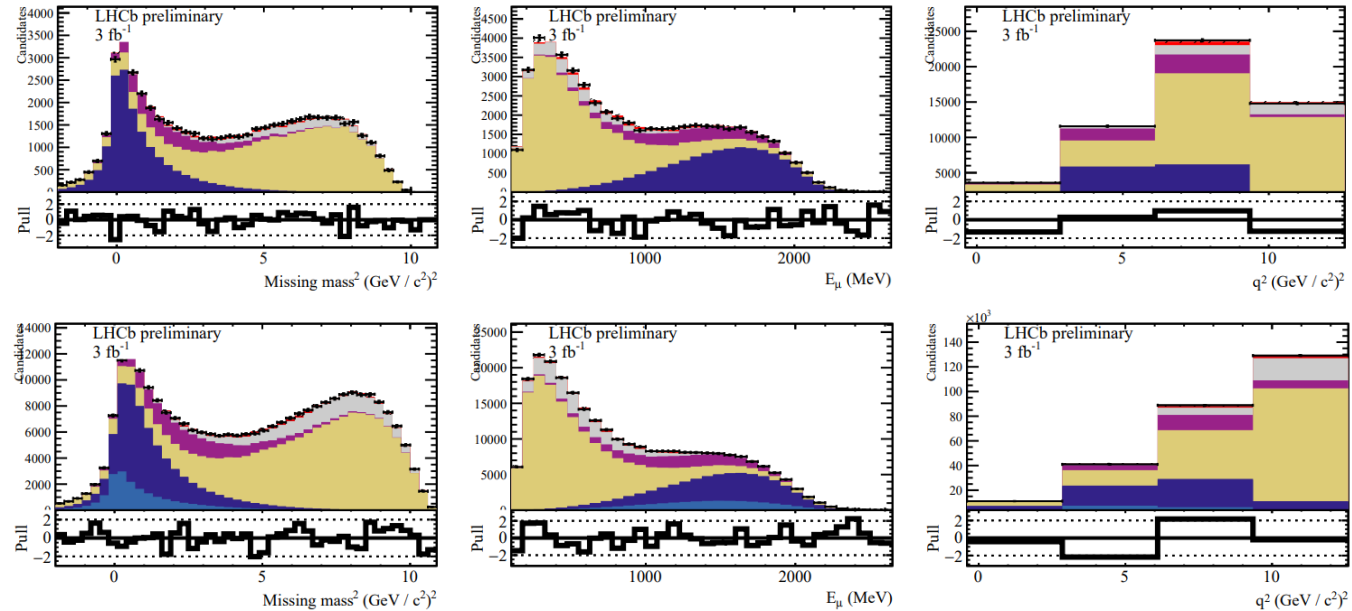
- Compute per-track weight combining known $h \rightarrow \mu$ misID fake rates ($h = \pi, K, p, e, \text{fake}$) with probability $P(h)$ for each species
- New techniques combine statistical unfolding with per-track PID classification to get best estimate of $P(h)$

Add decay-in-flight effect on “muon” momentum resolution with statistical smearing

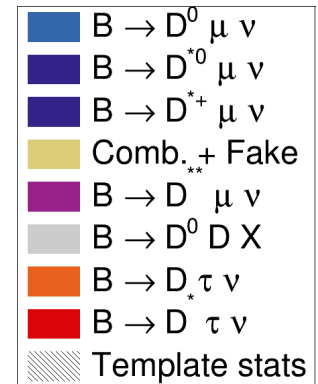
- Essential for best fit quality!



Decay in flight -> mismeasure track deflection in magnet



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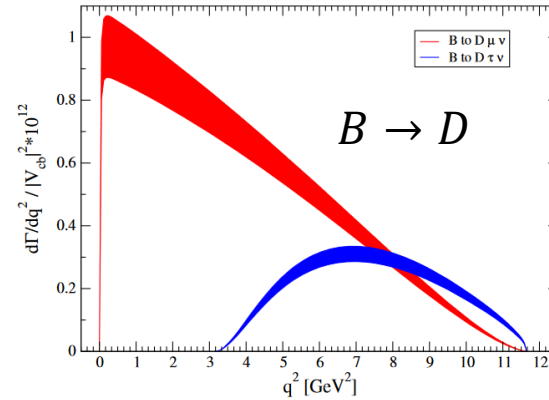
New Technology: Form-factor models

- Using updated form-factor models for semileptonic backgrounds

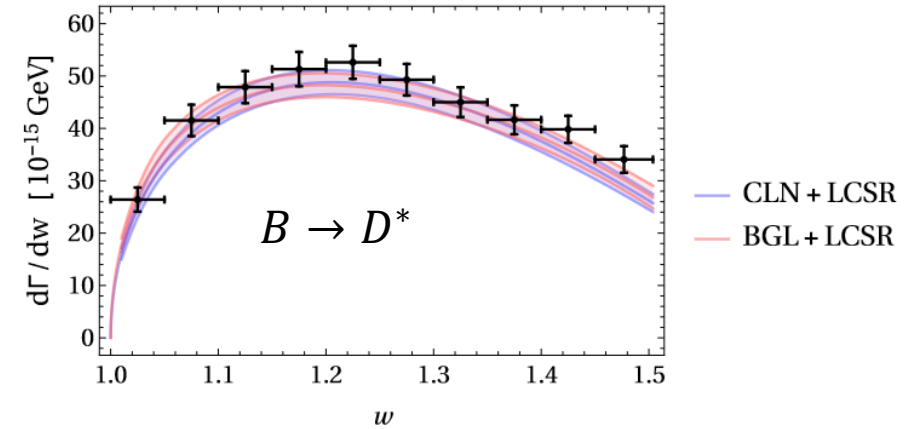
- D* from CLN to BGL
[JHEP 11 (2017) 061], [JHEP 12 (2017) 060]
D using BCL ala HPQCD
[PRD 92 (2015) 054510]
- D** from LLSW to Bernlochner & Ligeti
[PRD 95 (2017) 014022]

- Parameters free to vary in nominal fit, only helicity-suppressed terms constrained from external input

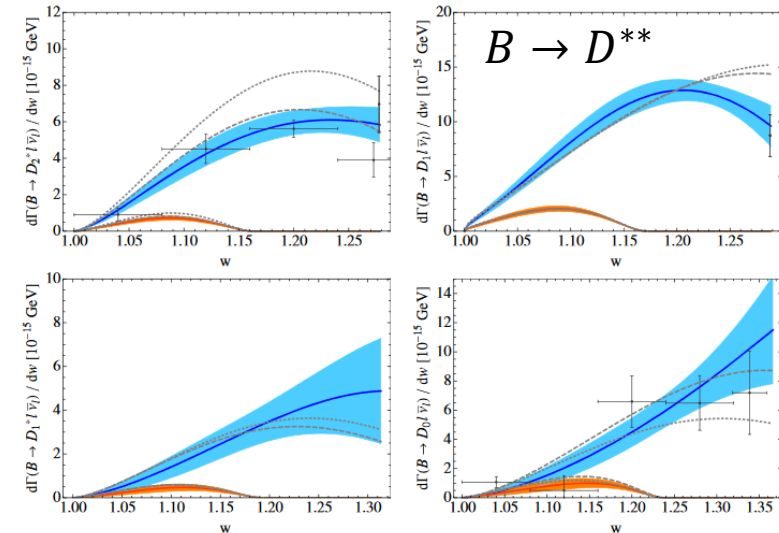
- Alternate fitter: likelihood constraint on normalization/signal form factors
- Constraint makes little difference in extracted value of RD/RDst – fit can compensate with degenerate degrees of freedom



PRD 92 (2015) 054510



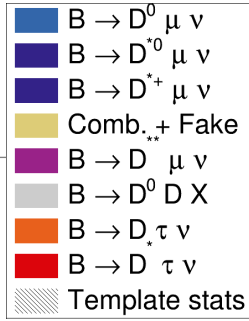
Phys.Lett.B769:441-445,2017



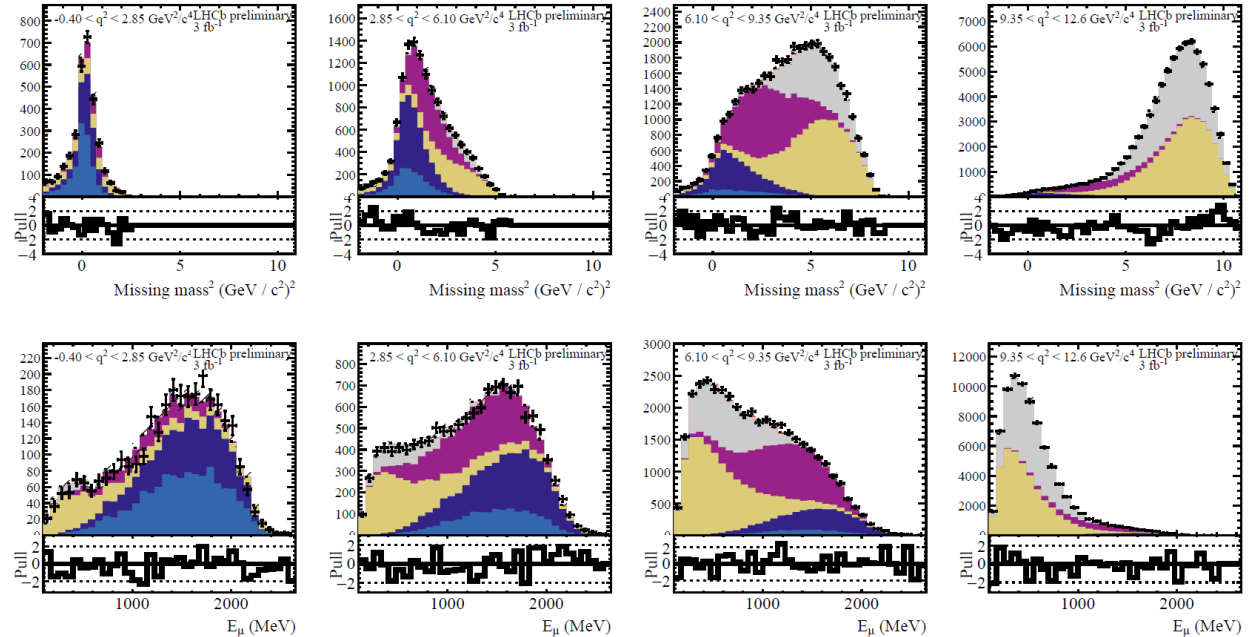
Phys. Rev. D 95, 014022

Auxilliary fits

- Fix shape parameters to nominal best fit, try to fit other possible anti-isolated regions with only yields free
 - Exhaustive list of possibilities (see Greg's seminar)
- Punchline: model seems to give good description of data everywhere** (including literally "everywhere" – summed anti-isolated data)
- NOTE:** This is not a claim that the model includes all possible processes, but rather that anything else is not distinguishable from the summed sources in our present model



Example: $D^0 \mu + 3$ extra tracks (higher multiplicity B background)



Results

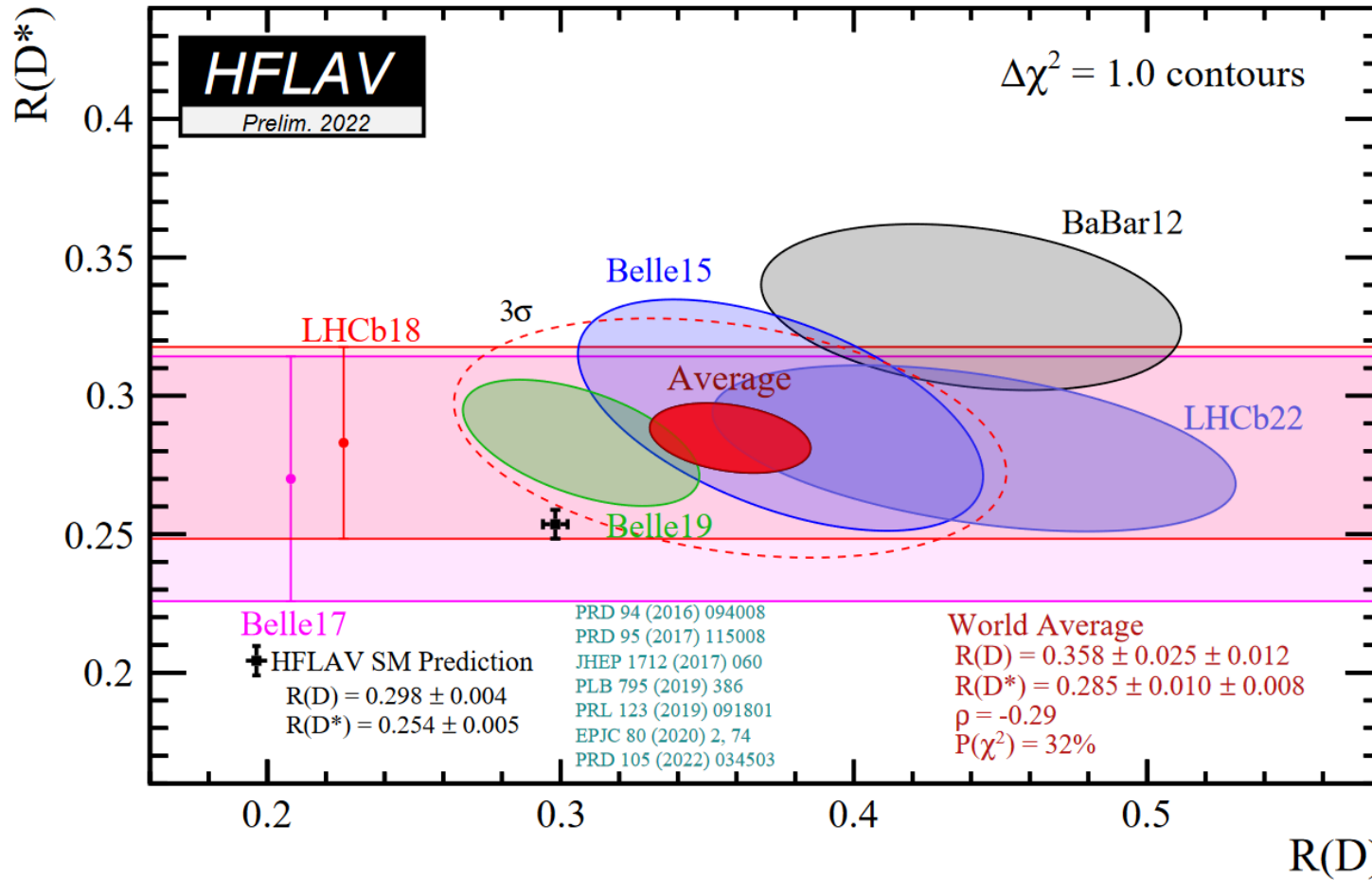
Results!

■ $R(D) = 0.441 \pm 0.060(stat) \pm 0.066(sys)$

■ $R(D^*) = 0.281 \pm 0.018(stat) \pm 0.023(sys)$

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■ $\rho = -0.49(stat)/-0.40(sys)/-0.43(tot)$



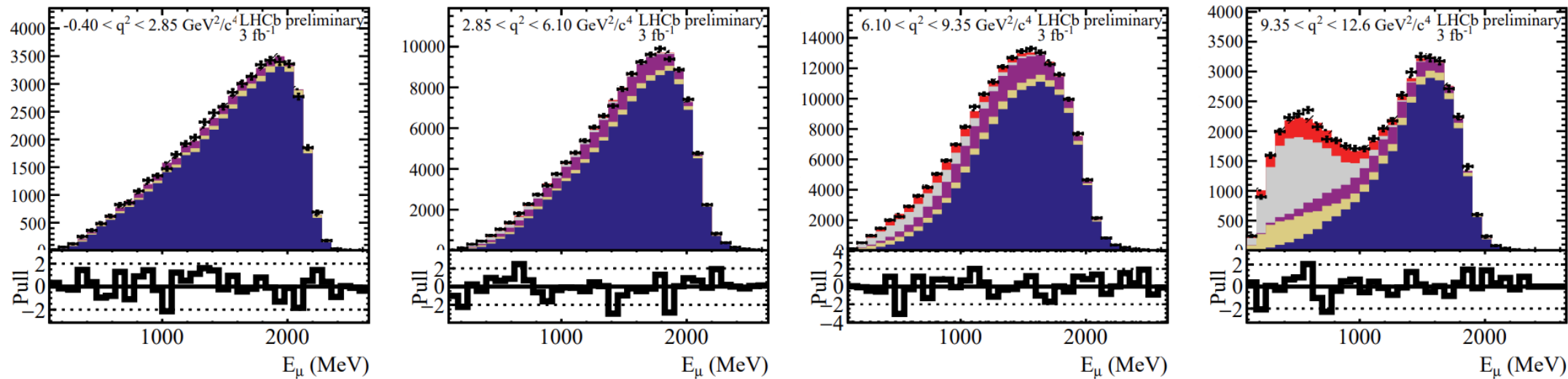
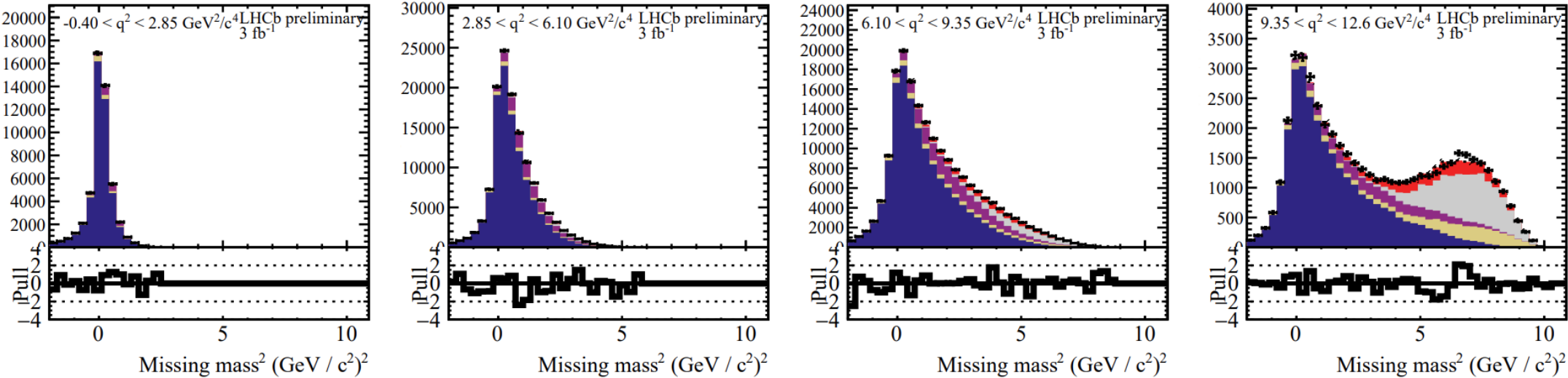
2021 HFLAv (previous)

World Average
 $R(D) = 0.339 \pm 0.026 \pm 0.014$
 $R(D^*) = 0.295 \pm 0.010 \pm 0.010$
 $\rho = -0.38$
 $P(\chi^2) = 28\%$

Results- $D^{*+} \mu^-$ sample

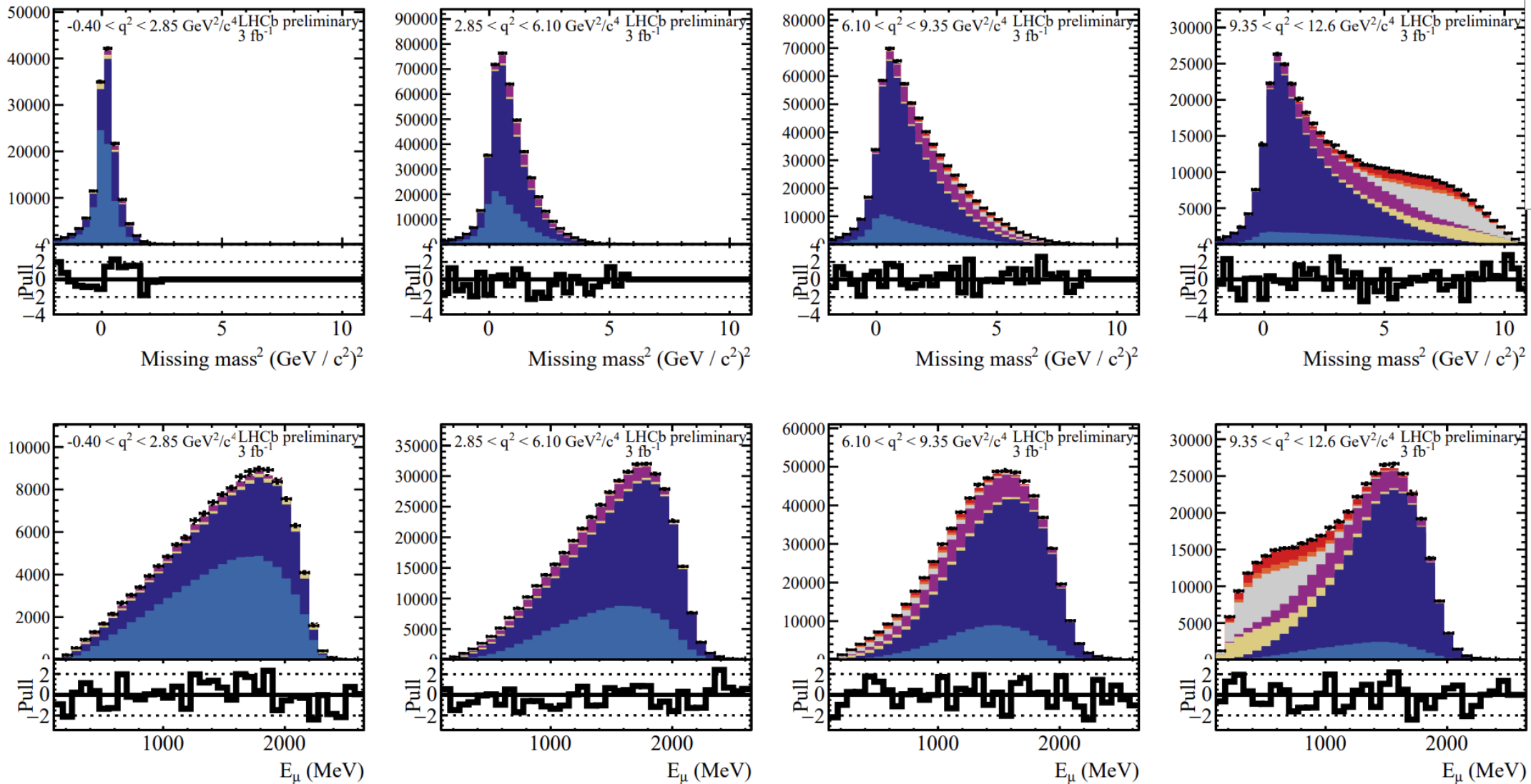
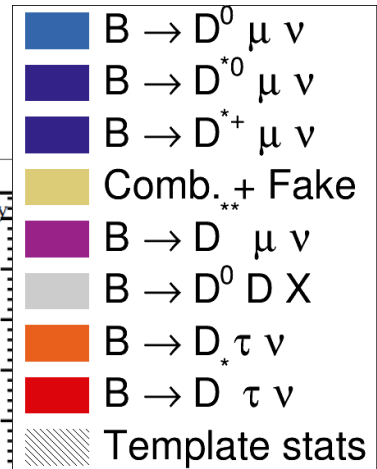
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- $B \rightarrow D^0 \mu \nu$
- $B \rightarrow D^{*0} \mu \nu$
- $B \rightarrow D^{*+} \mu \nu$
- Comb. + Fake
- $B \rightarrow D \mu \nu$
- $B \rightarrow D^0 D X$
- $B \rightarrow D \tau \nu$
- $B \rightarrow D^* \tau \nu$
- Template stats



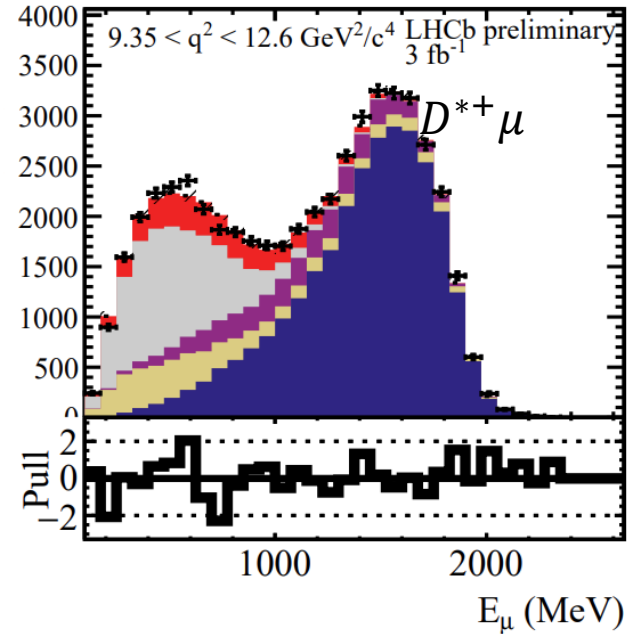
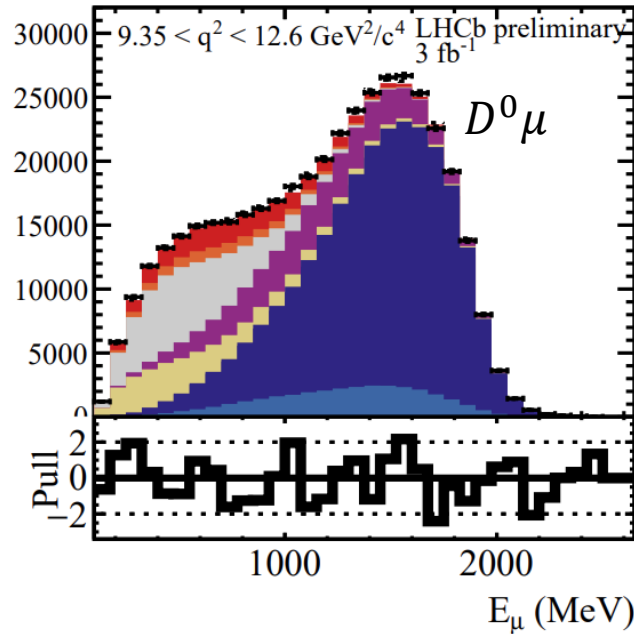
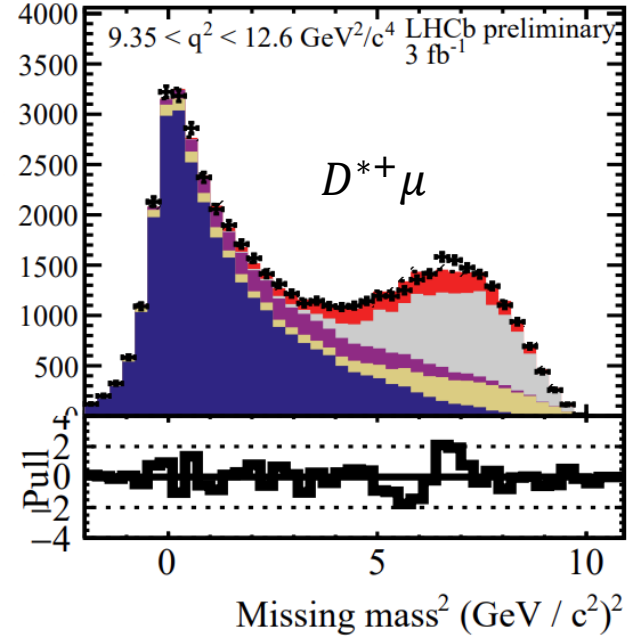
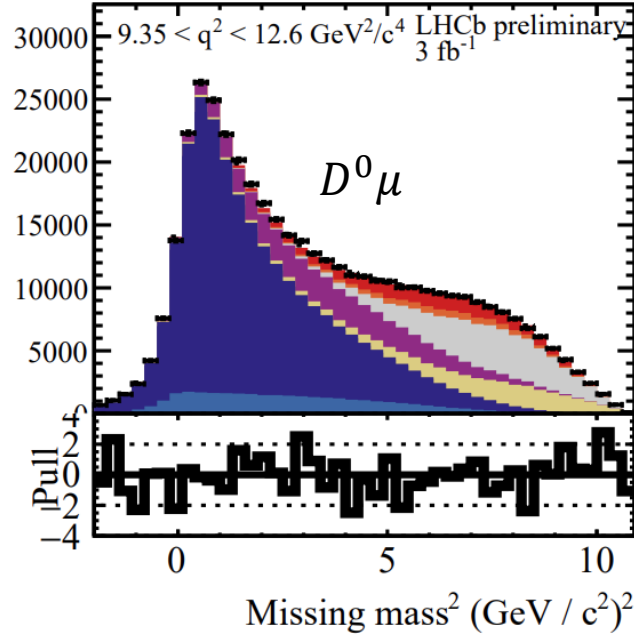
Results- $D^0\mu^-$ sample

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Zoom-in

- $B \rightarrow D^0 \mu \nu$
- $B \rightarrow D^{*0} \mu \nu$
- $B \rightarrow D^{*+} \mu \nu$
- Fake muons
- Combinatorial
- $B \rightarrow D^{**} \mu \nu$
- $B \rightarrow D^0 D X$
- $B \rightarrow D^* \tau \nu$
- $B \rightarrow D \tau \nu$



LHCb-PAPER-2022-039 (in preparation)

Syst. Table

Internal to fit
likelihood
-> Scale
roughly
with size of
control data

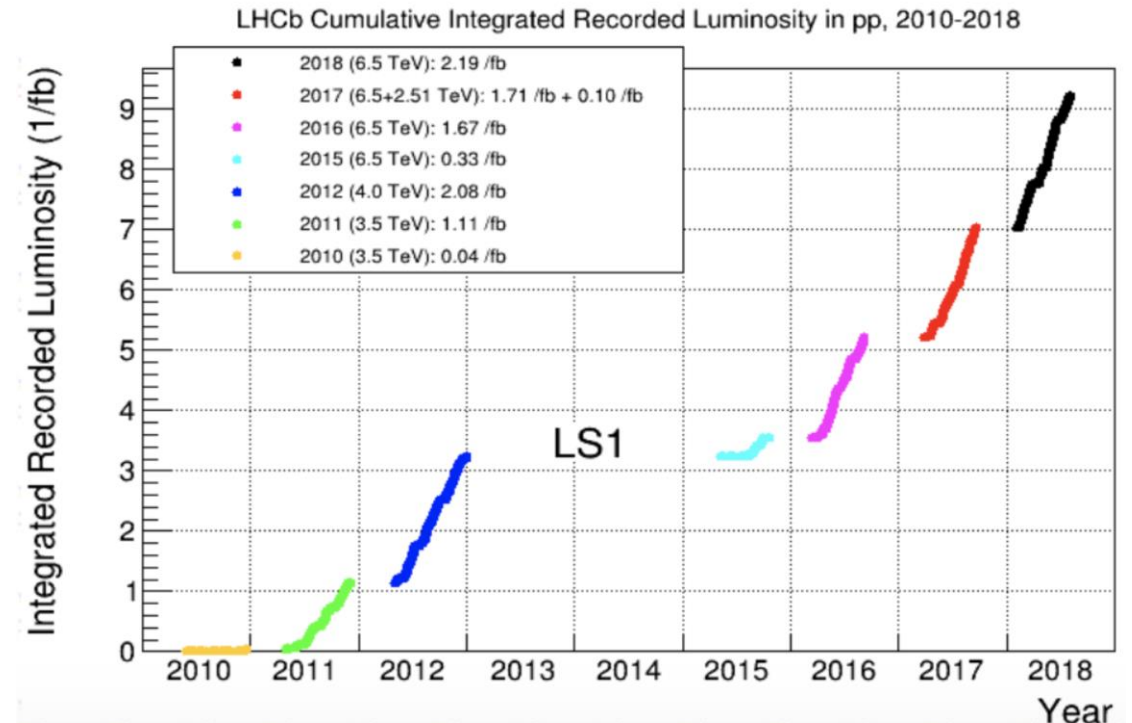
Internal fit uncertainties	$\sigma_{\mathcal{R}(D^*)}(\times 10^{-2})$	$\sigma_{\mathcal{R}(D)}(\times 10^{-2})$	Correlation
Statistical uncertainty	1.8	6.0	-0.49
Simulated sample size	1.5	4.5	
$B \rightarrow D^*DX$ template shape	0.8	3.2	
$\bar{B}^0 \rightarrow D^{*+}\ell^-\bar{\nu}$ form-factors	0.7	2.1	
$\bar{B} \rightarrow D^{**}\mu^-\bar{\nu}_\mu$ form-factors	0.8	1.2	
$\mathcal{B}(B \rightarrow D^*D_s(\rightarrow \tau\nu)X)$	0.3	1.2	
MisID template	0.1	0.8	
$\mathcal{B}(\bar{B} \rightarrow D^{**}\tau^-\bar{\nu}_\tau)$	0.5	0.5	
Combinatorial	< 0.1	0.1	
Resolution	< 0.1	0.1	
Additional model uncertainty	$\sigma_{\mathcal{R}(D^*)}(\times 10^{-2})$	$\sigma_{\mathcal{R}(D)}(\times 10^{-2})$	
$B \rightarrow D^{(*)}DX$ model uncertainty	0.6	0.7	
$\bar{B}_s^0 \rightarrow D_s^{**}\mu^-\bar{\nu}_\mu$ model uncertainty	0.6	2.4	
Data/simulation corrections	0.4	0.75	
Coulomb correction to $\mathcal{R}(D^{*+})/\mathcal{R}(D^{*0})$	0.2	0.3	
misID template unfolding	0.7	1.2	
Baryonic backgrounds	0.7	1.2	
Normalization uncertainties	$\sigma_{\mathcal{R}(D^*)}(\times 10^{-2})$	$\sigma_{\mathcal{R}(D)}(\times 10^{-2})$	
Data/simulation corrections	$0.4 \times \mathcal{R}(D^*)$	$0.6 \times \mathcal{R}(D)$	
$\tau^- \rightarrow \mu^- \nu \bar{\nu}$ branching fraction	$0.2 \times \mathcal{R}(D^*)$	$0.2 \times \mathcal{R}(D)$	
Total systematic uncertainty	2.4	6.6	-0.39
Total uncertainty	3.0	8.9	-0.43

External to fit likelihood.
Will require more
than just more control
data to improve

Multiplicative
uncertainties
small in $\tau \rightarrow \mu\nu\bar{\nu}$

Run2 *THE NEXT GENERATION*

- Run2 introduced a suite of dedicated B2Xtaunu trigger lines in the $\tau \rightarrow \mu\nu\bar{\nu}$ submode for $D^0\mu X$ as well as $D^+\mu X$, $\Lambda_c^+\mu X$, $D_s^+\mu X$
 - Large efficiency gain compared to Run1 “piggyback” on charm triggers
- Large statistics gain independent of efficiency as well
 - 1.9x more luminosity, 1.8x $\sigma(b\bar{b})$
- But “more data more problems” – MC statistics and corrections must be more precise to exploit this data
 - FastMC techniques essential, but introduce complications in Hardware (L0) trigger modeling
 - How consistent is 2016/2017/2018 data? Separate corrections may be needed – more complications

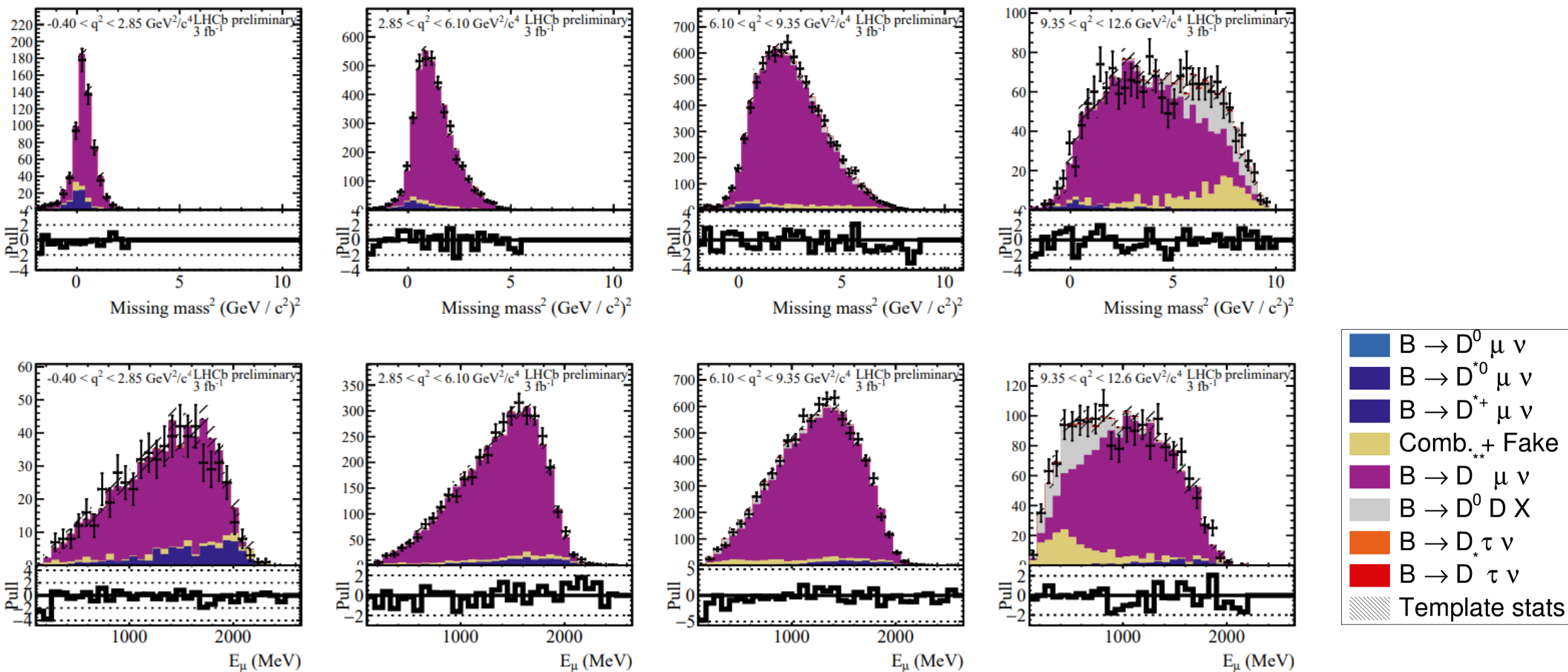


Summary

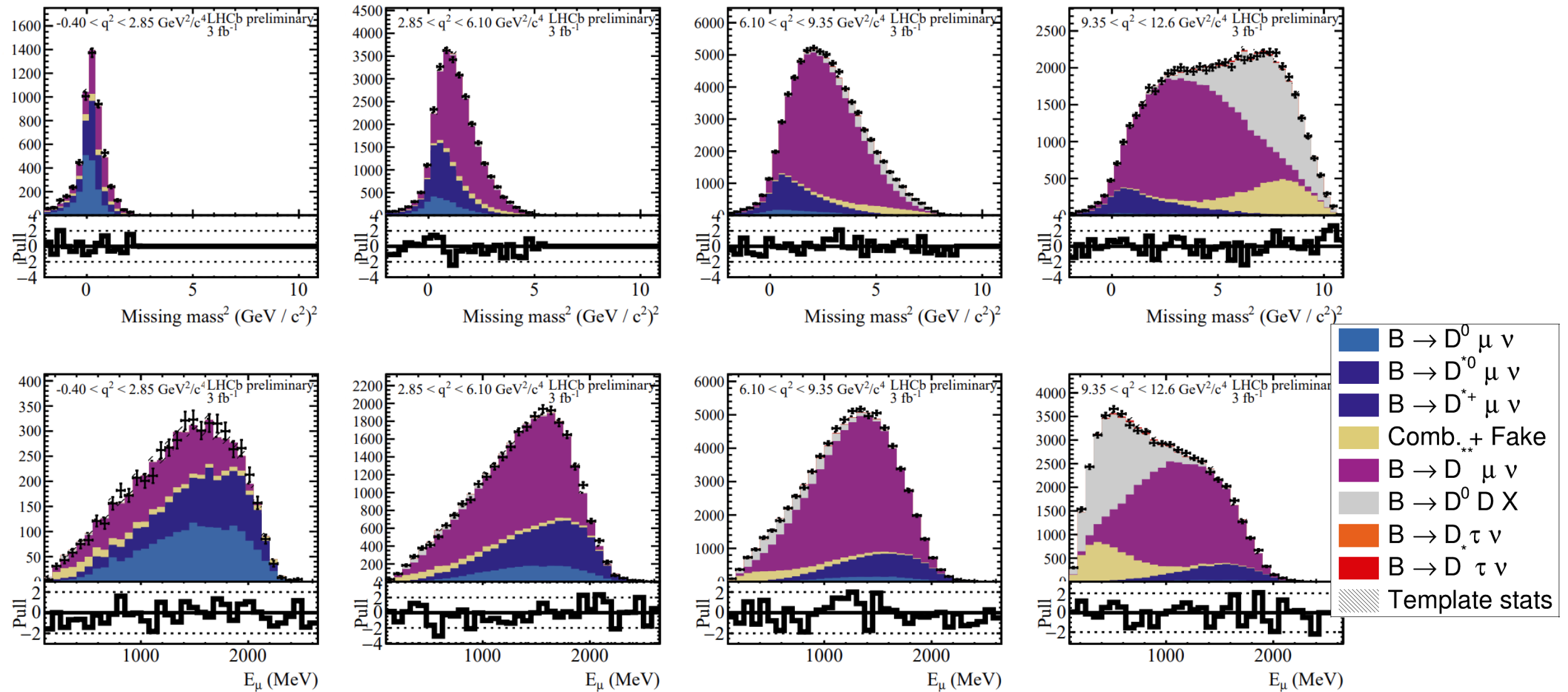
- LHCb Run1 $R(D^*)$ measurement successfully extended to joint $R(D)$, $R(D^*)$ ellipse
 - Result: $R(D) = 0.441 \pm 0.060(stat) \pm 0.066(sys)$
 $R(D^*) = 0.281 \pm 0.018(stat) \pm 0.023(sys)$
 $\rho = -0.49(stat)/-0.40(sys)/-0.43(tot)$
 - Excellent agreement with world average, 1.9σ from standard model
- Pathfinder analysis: much of the procedure already at the level of precision needed for (much!) bigger datasets
 - Follow-up in Run2 dataset already well underway with many more B hadron decays on disk and a dedicated trigger to make life easier
- Much more exciting work also underway on this mode using techniques inherited from or inspired by this work

Backup

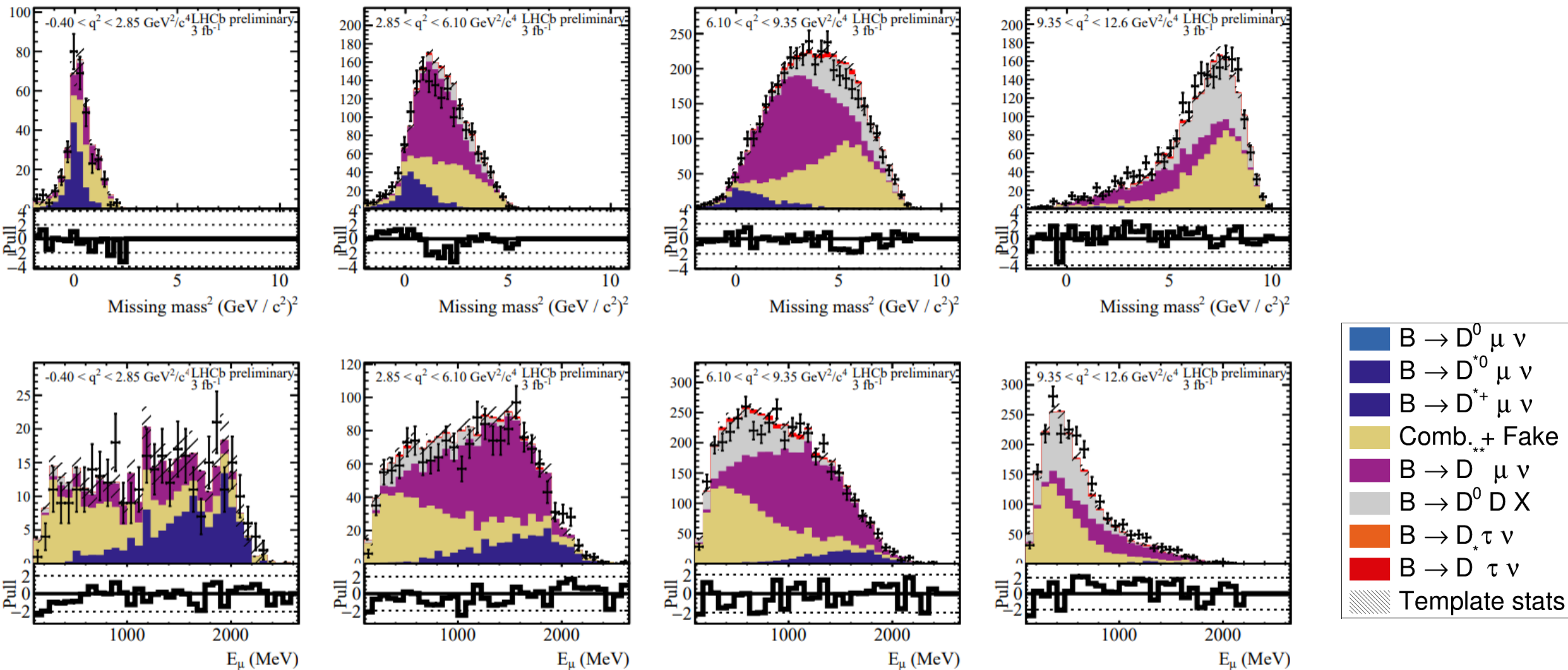
$D^{*+} \mu^-$ 10S



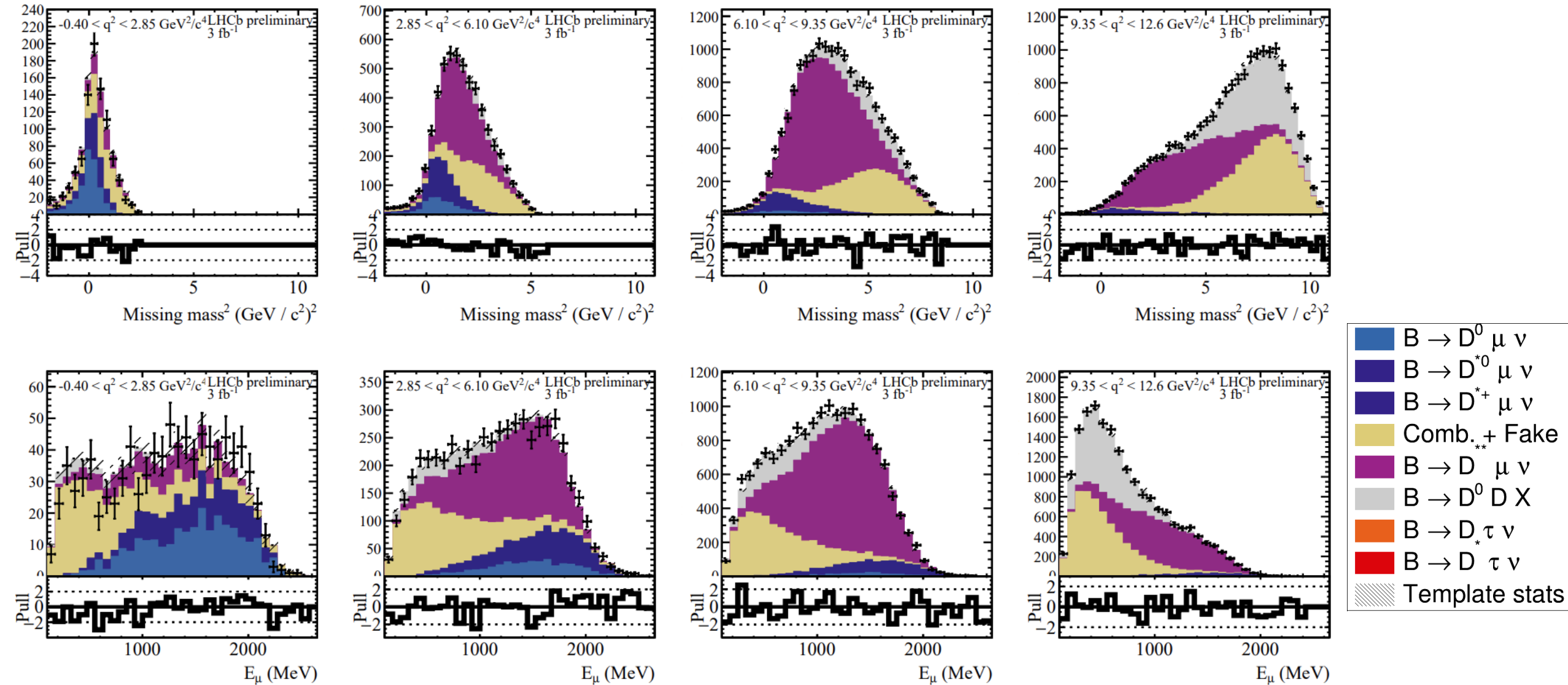
$D^0 \mu^-$ 10S



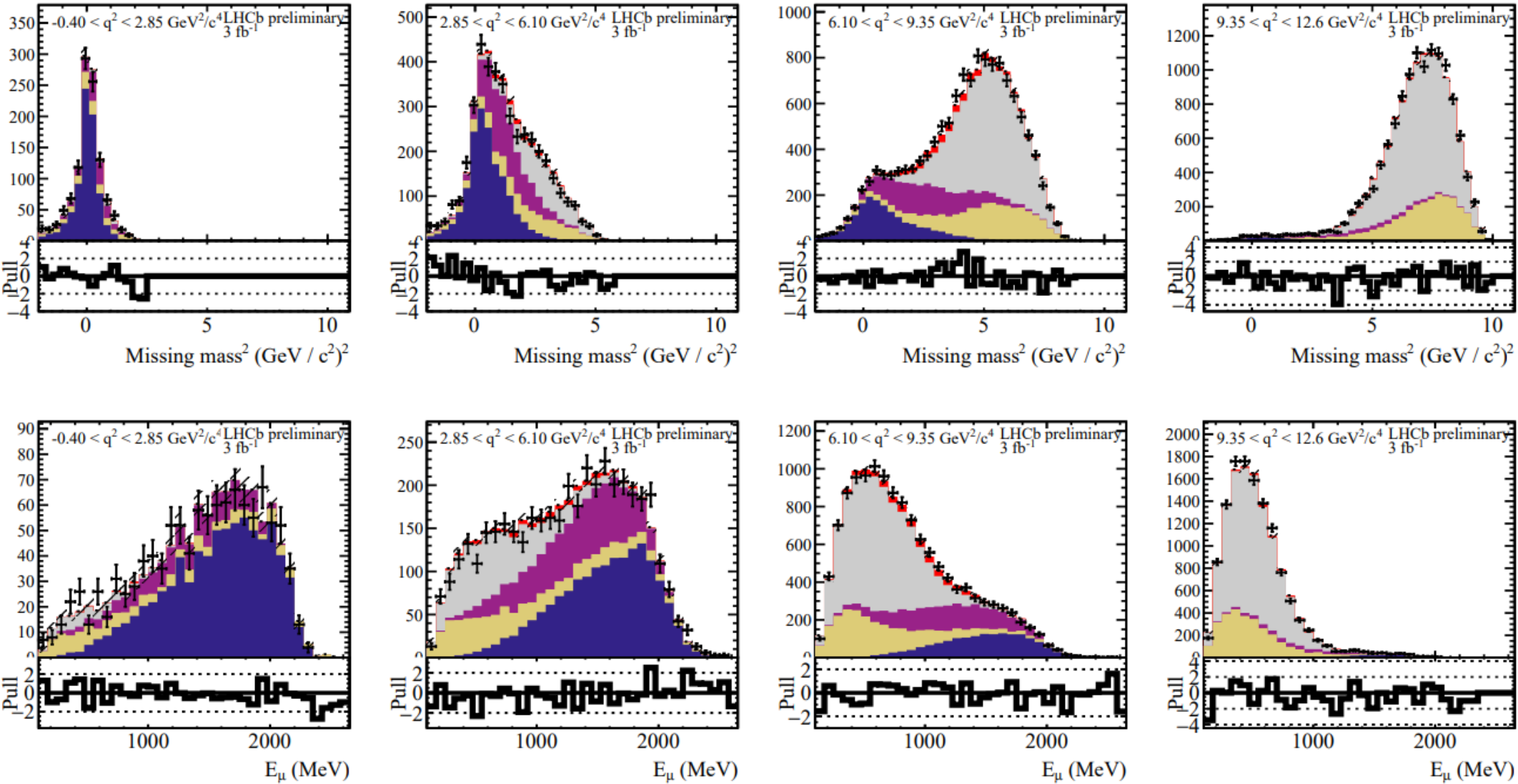
$D^{*+} \mu^-$ 20S



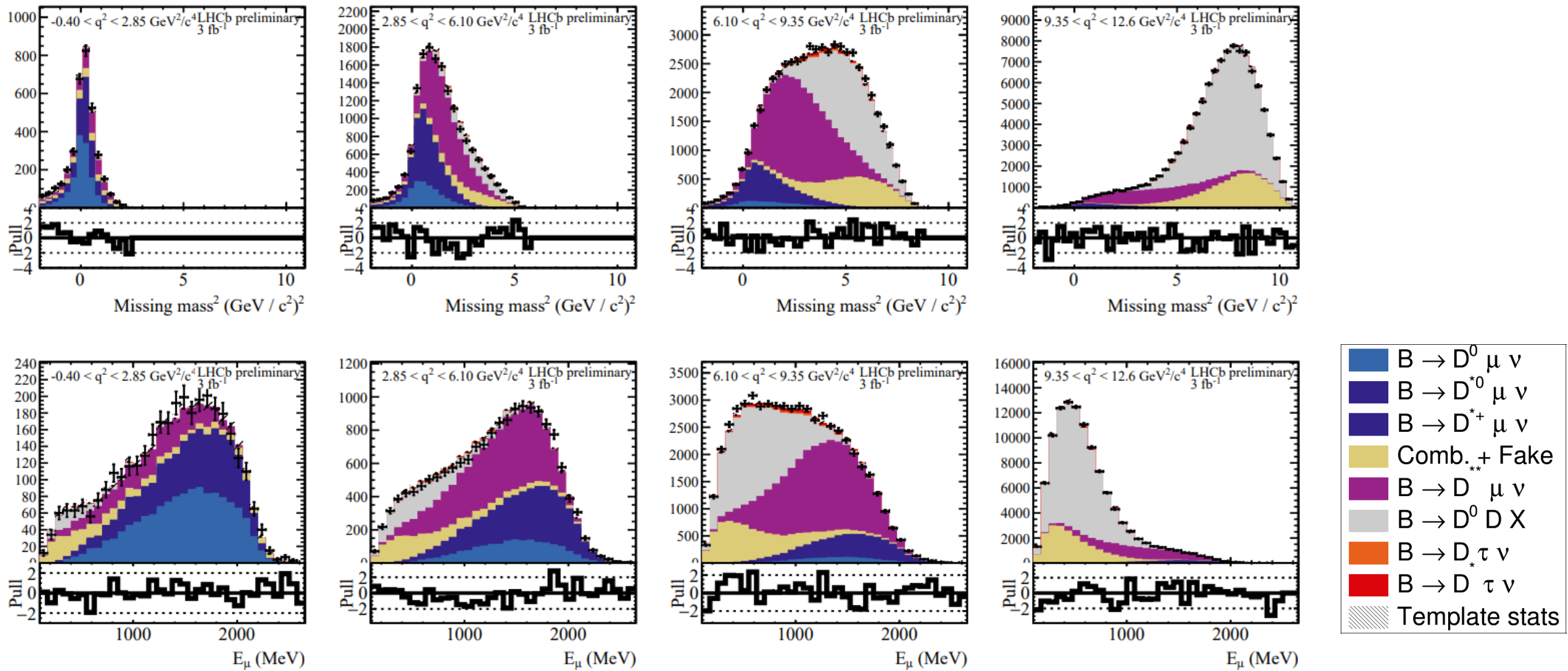
$D^0 \mu^-$ 2OS



$D^{*+} \mu^-$ DD

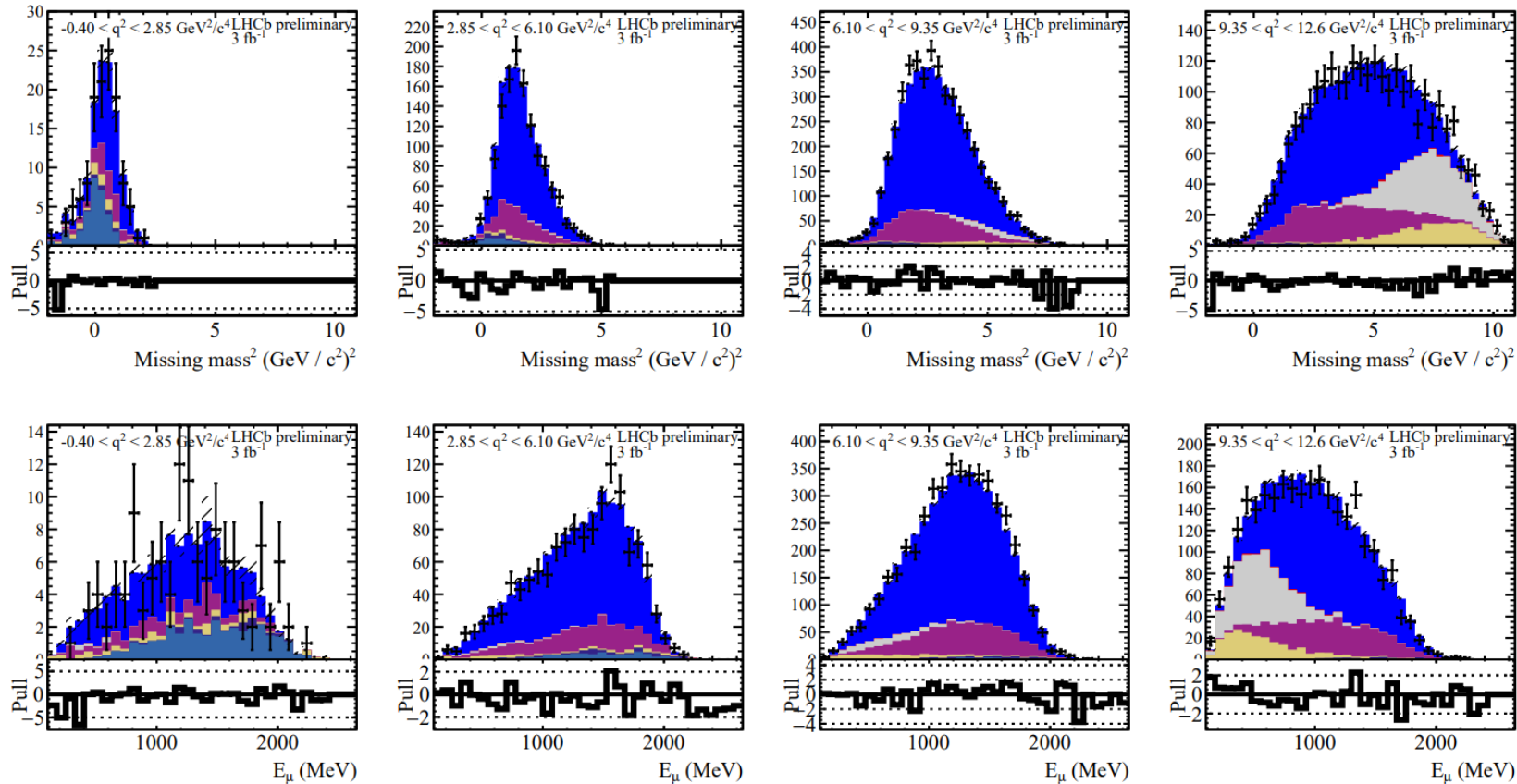


$D^0 \mu^-$ DD

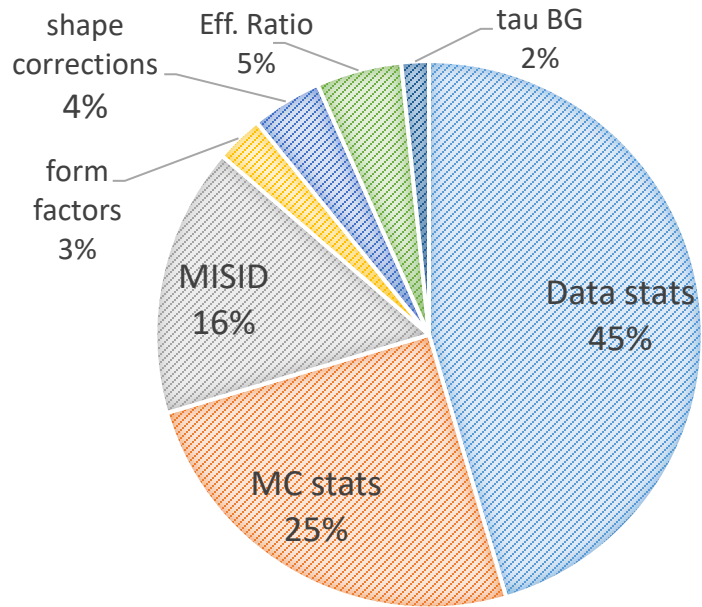


Baryonic backgrounds

- $\Lambda_b \rightarrow D^0 p \mu \bar{\nu}$ poorly understood and difficult to model
 - Question: Can our existing $D^{**} \mu \bar{\nu}$ background model represent this component?
 - Answer: Yes! Measure shapes in $D^0 \mu^- + p$ sample, refit simultaneous data with constrained contribution from this background to estimate sensitivity of R(D^{*}) to this missing source



2015 R(D*) fit result and systematics



Contribution of each source to the **squared** total measurement uncertainty

