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Top quark mass measurement in lepton and jets final state at the CMS experiment

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Overview

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- Motivation
- Latest results
- Analysis strategy
 - event topology and the semileptonic channel
 - kinematic fit
 - $\circ \quad \ \ {\rm binned \ profile \ likelihood \ method}$
- Future and current challenges
- Summary



Motivation



- top quark is the most massive particle in the SM
 - important probe for SM or ingredient for BSM models
- stability of the electroweak vacuum parameterized often as a function of the pole masses of Higgs and top
- "To rule out absolute stability to 3σ confidence, the uncertainty on the top quark pole mass would have to be pushed below 250 MeV" [1]



Motivation





- important probe for SM or ingredient for BSM models
- stability of the electroweak vacuum parameterized often as a function of the pole masses of Higgs and top
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Previous results at LHC



- latest public result from 2022 with lepton+jets channel using 2016 data performed by the CMS Collaboration
 - \circ m_t = 171.77 ± 0.38 GeV [1]

Top quark weighs in with unparalleled precision ${}_{\scriptscriptstyle 1} July {\scriptstyle 2022}$



Top marks The classic signature of a top-quark pair at the LHC is four jets (yellow cones), one muon (red line and boxes) and missing energy from a neutrino (pink arrow). Credit: CMS





HIGGS AND ELECTROWEAK | NEWS

Lepton + jets 2016 results

171.77 \pm 0.38 GeV in the stability figure •



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Lepton + jets 2016 results

 171.77 ± 0.38 GeV in the stability figure •

- our analysis in Helsinki extends this using data from 2017-2018
 - ~100 fb⁻¹ \rightarrow around 3 times more than 2016 0
 - systematic uncertainties can be reduced if well 0 constrained by the data using **profile likelihood** methods



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Analysis strategy





Mass measurement in ttbar topology



- direct mass measurement
 - \circ $\hfill mass from the reconstructed decay products$
 - $\circ \quad$ most precise method at LHC at the moment
- ttbar at 13 TeV LHC offers largest statistics
- top decays almost exclusively to W and b
- channels categorized by the W boson decays
 - dileptonic (W \rightarrow l+v, W \rightarrow l+v)
 - + clear signal - missing momentum from neutrinos
 - hadronic ($W \rightarrow qq, W \rightarrow qq$)
 - + largest statistics
 - difficult to distinguish jets
 - semileptonic channel (W→qq, W→l+v)
 - \pm signal from the single lepton
 - + only one neutrino
 - ± decent statistics



Semileptonic channel selections

- exactly one muon/electron
- at least 4 jets
 - of which 2 are b-jets
 - challenging to tag
 - $\circ~$ of which 2 are light quark jets from W
 - boosted W complicates things
- neutrino inferred using missing momentum











Kinematic fit



- semileptonic event hypothesis tested for combinations of selected objects
 - two possible combinations for b jets
 - \circ ~ neutrino momentum z-component has two possible values
- kinematic fit constraints:
 - \circ m_W^{fit} = 80.4 GeV
 - \circ $m_t^{hadr} = m_t^{lept}$
- gives χ^2 using object-parton resolution
 - $\circ~$ example: further the reconstructed qq system from W mass, larger the χ^2
- goodness-of-fit for each permutation determined
 - $\circ \qquad P_{gof} = \exp(-\frac{1}{2}\chi^2)$
 - hypothesis with the highest P_{gof} value is used



Control plots after kinematic fit



• data-simulation agreement can be confirmed





top mass from the fit





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Binned profile likelihood fit



- m_t is the parameter of interest
- binned fit in five dimensions
 - 1. m_t^{fit} = obvious choice for m_t^{fit} 2. m_W^{reco} = jet energy scale of light quarks 3. m_{lb}^{red} 4. R_{bq}^{reco} = b-jet energy scale (originally from ATLAS) 5. $m_{lb}^{reco} = m_{lb}^{e_{pgd} < 0.2}$
- **Combine** tool used for the fitting
 - handles well year combinations
 - used extensively by Higgs community
 - nowadays also in precision measurements
- m_t inferred from the maximized likelihood



Interpolation example

- interpolation between central simulation and variations by histogram morphing
- linear interpolation between
 -1,0,1 variations





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Impact plot for 2018

CMS HESNIG HESNIG

- uncertainty on the m_t by each nuisance parameter
- impact plotting
 - fit all nuisance parameters together
 - \circ ~ fixing single nuisance to ±1 value and refitting
 - impact = difference in the value of the m_t after fit
- in example plot we have blinded impact where the simulation is used as a target instead of data
 - impacts still estimate the uncertainty
- bJEC and b/t quark final state radiation (FSR) leading systematics



Impacts for 2016

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- now fitted against real data
 - **pulls** indicate how different systematics should be shifted to best model the data
 - \circ ~ ideally pulls are below one sigma
- large pull in qFSR, opposite to bFSR
 - ο qFSR -1.5 σ
 - ο bFSR +0.3 σ
- uses split FSR scheme
 - light quarks and heavy quarks not correlated
- however, there is indication that
 - α_s^{FSR} should be bigger in simulation
 - qFSR and bFSR are correlated
 - these are being studied for 2017-2018 analysis



Summary



- latest public lepton + jets 2016 results presented
 - most precise top mass measurement yet
 - open questions related to FSR modeling
- we will aim to publish 2017-2018 results in 2023
 - \circ ~ around 3 times more data than 2016
 - \circ ~ some differences in the details of the analysis
- direct top mass measurement in ttbar semileptonic channel
 - event selections
 - kinematic fit
 - $\circ \quad \ \ {\rm binned \ profile \ likelihood \ method}$





Backup

Backup: rest of the fit dimensions





Backup: FSR correlation



- new studies indicating correlation between light and b quark FSR in Pythia
- performed using Z->qq' decays and reconstructing Z-mass from the simulated quark jets



Backup: FSR correlation







Backup: Binned likelihood function

$$\mathcal{L}(\vec{n}) = \prod_{i \in \text{bins}} \mathcal{P}\left(n_i | \sum_{j \in \text{samples}} (1 + \kappa_j)^{\eta_j} \times \nu_i^j \left(\vec{\theta}, m_t\right)\right) \\ \times \prod_{k \in \text{nuisances}} \mathcal{G}\left(\theta_k\right) \times \prod_{j \in \text{samples}} \mathcal{G}\left(\eta_j\right).$$

- \circ n_i = number of events in data in bin i
- v_i^j = expected number of events for simulated sample j
- $P(n|\lambda)$ = Poisson probability to observe n events when λ predicted
- \circ θ_k = nuisance parameter corresponding to a systematic uncertainty k
 - θ = 0 is the central value and -1 and +1 are the down and up variations
- \circ k_i = scaling uncertainty of simulated sample j
 - · minimally cross-section uncertainty
- systematics interpreted as nuisance parameters
- nuisances constrained by normalized Gaussians $\mathcal{G}(\theta_k)$
 - \circ up/down variations shift the likelihood by one sigma

Backup: Likelihood fit dimensions



- binned fit in five dimensions
 - $\begin{array}{l} \circ & m_{t}^{\text{ fit}} \\ \circ & m_{W}^{\text{ reco}} \\ \circ & m_{lb}^{\text{ red}} = m_{lb}^{\text{ reco}} / m_{t}^{\text{ fit}} \\ \circ & R_{bq}^{\text{ reco}} = (p_{T}^{\text{ b-jet 1}} + p_{T}^{\text{ b-jet 2}}) / (p_{T}^{\text{ q-jet 1}} + p_{T}^{\text{ q-jet 2}}) \\ \circ & m_{lb}^{\text{ reco}} (P_{gof} < 0.2) \end{array}$



Backup: top mass definition



- top quark mass is theoretically complex to define
- what is measured in the direct measurements is the so-called Monte Carlo mass m^{MC}_t
- relationship with field theoretic mass definitions such as the pole mass m_t^{pole} is not straightforward

"top mass interpretation problem"

• theoretical work (A. Hoang [1]) has been conducted on this topic and as the precision of the measurements increases this additional uncertainty must be given serious thought