#### European Course of Cryogenics 2022

#### **Cryogenic Multiphase Heat & Mass Transfer**

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#### Heat and mass transfer at low

#### <u>temperature</u>

- a. Seeking solutions for velocity, pressure and temperature fields in liquid and vapor phases, temperature field in the solid
- b. Scaling to real applications in life sciences and energy



#### **Cryogenic environment**

- a. Low temperatures from 200 K to 20 K
- b. Thermo-physical properties change strongly with temperature
- c. Heat fluxes always present





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How to participate?



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wooclap

### #1 CO2 production



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You cannot vote anymore

Carbon dioxide snow is produced by expanding liquid CO2 through an orifice.

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Estimate the amount of snow produced in kg, when one kg of saturated liquid CO2 at 290 K is expan click on the projected screen to start the question





#### 25 %



## CO2 molecule

#### #2 CO2 properties

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#### www.wooclap.com/ALUT2022

Figure A (below) shows a situation with dry ice in a vessel. The species above the dry ice is CO2 at 1 bar. A temperature sensor is placed in the dry ice. What would be the temperature sensor is placed in the dry ice.

#### wooclap







#### What is the dry ice temperature? -78.5 °C?



#### #3 CO2 properties



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#### www.wooclap.com/ALUT2022

Figure B (below) shows a situation with dry ice in a vessel. The species above the dryice is Nitrogen at 1 bar. A temperature sensor is placed in the dry ice. What would be the projected screen to start the question recording?



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#### Temperature measurement of dry ice





### Thermodynamic phase diagram





Temperature  $\rightarrow$ 

### Research question





temperature of dry ice?





### Model – geometry and assumptions

Based on kinetics:

heat transfer input and mass transfer output.

- Lumped capacitance model
- Stationary ambient
- Heat transfer  $q \rightarrow conductive$
- Mass transfer dm/dt:  $\rightarrow$  diffusive



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### Physical relations – energy balance

• Heat conduction:

$$q = A \cdot k(T) \cdot \frac{\mathrm{d}T}{\mathrm{d}r} \Big|_{r=rs}$$

• Mass diffusion:

$$\frac{\mathrm{d}m}{\mathrm{d}t} = -A \cdot D(T, p) \cdot \frac{\mathrm{d}\rho}{\mathrm{d}r}\Big|_{r=rs}$$

$$q = \Delta H_{\rm L} \cdot \frac{{\rm d}m}{{\rm d}t}$$



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• Combines to:





### Methodology



#### What is needed to characterise this 'wet-bulb' temperature?

- Controlled ambient
- Thermocouple inside a dry ice sample



### Flow conditioning



- Gas mixture:
  CO<sub>2</sub> + N<sub>2</sub>
- Pressure regulation
  - Balancing flow



### Making dry ice spheres

- Snow via Joule-Thompson expansion
- Compress into a **sphere**
- Radii of  $r_{\rm s}$  = 10 mm &  $r_{\rm s}$  = 5 mm





## **T**s



### Methodology – Experimental



- Constant pressure exp
  - Starting at 100 %vol
  - Vary concentration in s
- Repeat for pressures
  - 0.6 to 1.3 bar
  - 100 mbar increments





### Experimental results



• What does such an experiment look like?



### Extended phase diagram – results

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### Schlieren imaging

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## Quantifying Leidenfrost vapor layer

### Leidenfrost dynamics





"Leidenfrost Effect – Hot pan + Water", Youtube, uploaded by LaserFloyd, 30-05-2014

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#### Observation





#### #4 Heat transfer







#### Vapor layer thickness – model prediction



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#### Optical Coherence Tomography (OCT)



Medical imaging technique based on low-coherence interferometry which produces highresolution images of scattering media such as tissue.



#### Measuring vapor layer thickness with OCT





#### Experimental setup



Test section assembly



#### Test section in setup



#### Retaining ring + dry ice



Scanning







Line scan





Pellet height





Height variation of dry ice pellet ( $h_i$  = 5 mm ;  $d_{ci}$  = 10 mm ) placed on a hot sapphire substrate





## Liquid nitrogen droplets

### Leidenfrost dynamics







### Liquid nitrogen jet/drop dispenser





<u>Common case for a needle tube</u> <u>supplied from a pressurized</u> <u>dewar with liquid nitrogen</u>:

Multiphase flow at nozzle exit due to evaporation in hose



Many opportunities for doing research with cryogenic liquid jets or single droplets



### Droplet impact on a plate









#### Results



U=1.3 m/s T=89 K







Slowed down 500x

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t = 0 ms

 $0.4 \mathrm{ms}$ 

 $0.8 \mathrm{ms}$ 

 $1.2 \mathrm{~ms}$ 

 $2.4~\mathrm{ms}$ 

#### Results: Increasing prism temperature

U=1.3 m/s T=92 K





Slowed down 500x

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#### Results: Transition boiling





#### Results: Increasing plate temperature



#### U=1.3 m/s T=102 K



Slowed down 500x



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#### Phase diagram





#### Investigate both theoretically and experimentally the dynamics of a Leidenfrost droplet (liquid nitrogen) on a liquid pool (water)





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### Leidenfrost droplet on a liquid pool





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### Leidenfrost droplet on a liquid pool



Top view



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### Theoretical model

#### Outer part droplet

• Laplace pressure equals hydrostatic pressure

 $\gamma_d \kappa = -\rho_d g z$ 

• Let  $\kappa_{top}$  be the input variable to determine the size

$$\tilde{\kappa}_{top} + \tilde{z}_{top} = \tilde{\kappa} + \tilde{z}$$

- Write in terms of arclength s  $\frac{\partial \theta}{\partial s} = -\frac{\sin(\theta)}{r} - h + \kappa_{top}$   $\frac{\partial h}{\partial s} = \sin(\theta), \qquad \frac{\partial r}{\partial s} = \cos(\theta)$
- Integrate from s = 0 to  $s = s_t$  with  $\theta(0) = 0$ ,  $h(0) = z_{top}$ , r(0) = 0,  $\theta(s_t) = -\pi$





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### Theoretical model

#### Inner part droplet

• Excess pressure in vapour film  $p_v$  can be found by balancing all forces normal to the drop surface

$$\tilde{p}_{v} + \tilde{\kappa} = \tilde{\kappa}_{top} + (\tilde{z}_{top} - \tilde{h})$$

• This pressure drives a lubrication flow with no-slip conditions on both sides

$$\vec{q}_v = -\frac{\nabla p_v}{12\mu_v}(h-e)^3$$

• The local evaporation flux is equal to

$$J = \frac{q}{L} = \frac{1}{L} \frac{\lambda_v (T_p - T_d)}{(h - e)}$$

• Finally, mass conservation gives us

$$\vec{\nabla} \cdot q_{\nu} = \frac{J}{\rho_{\nu}}$$



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### Numerical model shape





#### Experimental results R(t) ( $T_(p,0)=273.15$ K)



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## Experimental results $V\_ice$ ( $T\_(p,0)=273.15$ K) $\frac{\text{UNIVERSITY}}{\text{OF TWENTE}}$ .



# MISSION & APPROACH



to identify specific phenomena and mechanisms that are key in understanding the cryogenic cooling processes and propose engineering models.



time

