

(QCD) Jet Calculus

KK, Ukawa, Veneziano

“A simple algorithm for QCD Jets”,

“Jet calculus, a simple algorithm for resolving QCD Jets”,

“On the transverse spread of QCD Jets”,

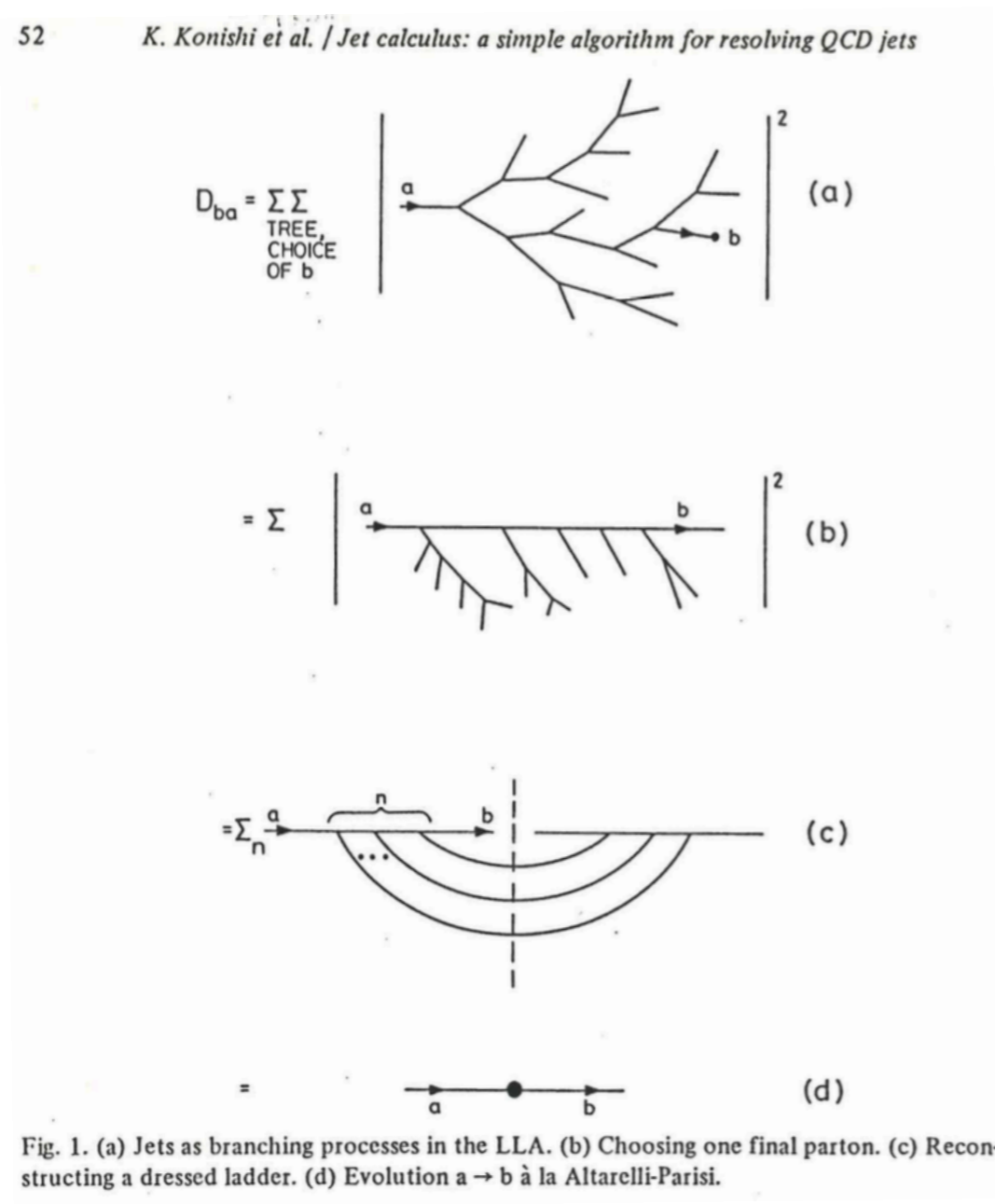
Phys. Lett. 78B (1978)

Nucl. Phys. B157 (1979)
Phys. Lett. 80B (1979)

Backgrounds

78

- QCD perturbation theory in “Hard Processes” (deep-inelastic eP scattering, $e^+e^- \rightarrow$ hadrons, etc) understood - Altarelli-Parisi, factorization theorem, etc.
- $e^+e^- \rightarrow$ 1 particle + everything (1 parton “inclusive” cross sections)



$D_{ba}(x, Q^2)$
fragmentation
function
(cfr structure fn)

Leading log approx;
Axial gauge, etc.

Idea



Pull out one more parton from (i.e. undo) the sum!

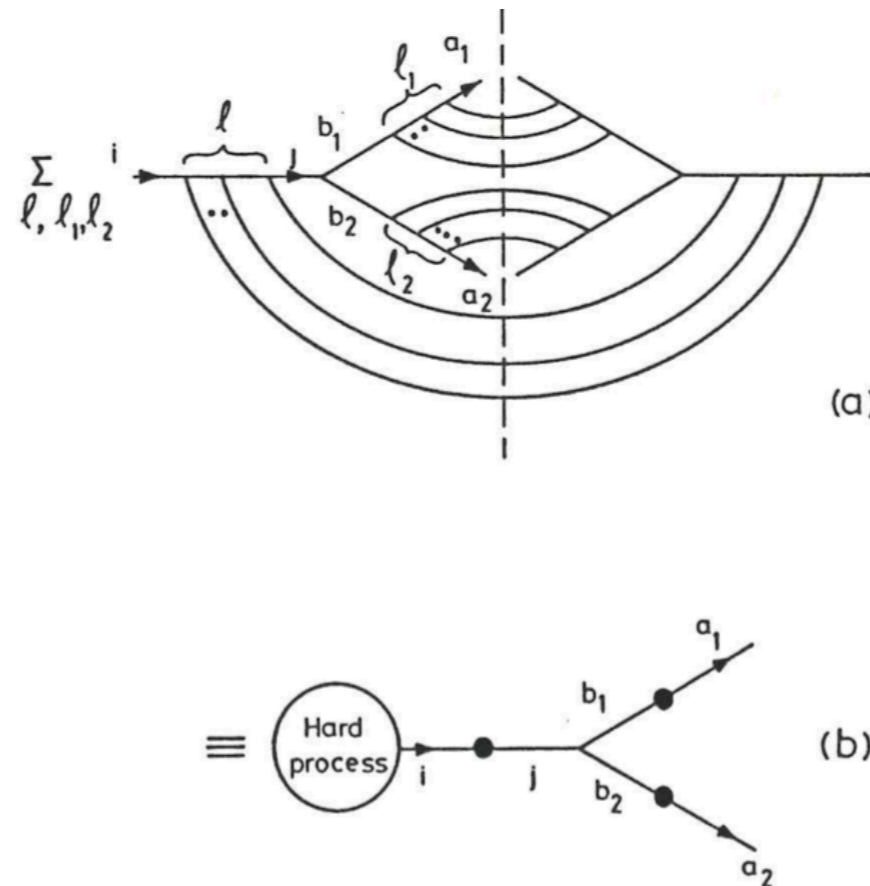


Fig. 2. (a) Choosing two final partons in fig. 1a and reconstructing a triple ladder. (b) Evolution $i \rightarrow a_1 + a_2$ described by eq. (2.8).

= 2 parton inclusive cross sections

$$D_i^{a_1, a_2}(x_1, x_2, Q^2)$$



Generalization to
multi-parton inclusive cross sections

simple diagrams
Jet calculus

Jet calculus

- ◆ Various checks (sum rules, etc.) including the rederivation of m-parton exclusive cross sections for $\lambda\phi^3$ in 6D !
- ◆ Transverse momentum distributions in quark and gluon jets
- ◆ Jet-energy spread
- ◆ Multiplicity and multiplicity distributions
- ◆ Jet calculus to next-to-leading order
- ◆ Preconfinement

◆◆ Perturbative QCD \longrightarrow
probabilistic algorithm for computing measurable m parton (x, p_T) distributions



All the (quark-, gluon-, hadron-) jet simulation programs

All these things are (perhaps) well known ...

J.C.Taylor

KUV

Double Leading log summations;

K.K., A. Mueller

K.K., Kalinowski, Scharback, Taylor,
Gunion, Kalinowski, Symanowski,

$$\frac{\langle n(Q^2) \rangle}{\langle n \rangle_q / \langle n \rangle_g}$$

Amati, Veneziano

A personal recollection:

GV contributed to the discovery of the “Konishi anomaly”, by

'84

supersymmetric
gauge theories

squark condensate
in SQCD

- (1) explaining to me his wrong (naive) argument leading to $\langle q\tilde{q} \rangle = 0$
- (2) understanding and appreciating at once my derivation of the anomaly by point-splitting method;
- (3) helping me in completing the work;
- (4) refusing my offer to him to sign the paper as a coauthor; and
- (5) remarking, a few days later, walking together along the CERN corridor:

“ It was a lesson to me: I had a prejudice that in supersymmetric theories the operator products must be less singular... You know, when one does not know anything (about the subject), one goes ahead and, perhaps, finds out the right answer ... ”



A moral lesson for young theorists:

DON'T LISTEN TO WHAT THE BIG EXPERTS SAY:
THINK WITH YOUR OWN HEAD !

Grazie, Gabriele,
Auguri per
Cento di questi giorni !

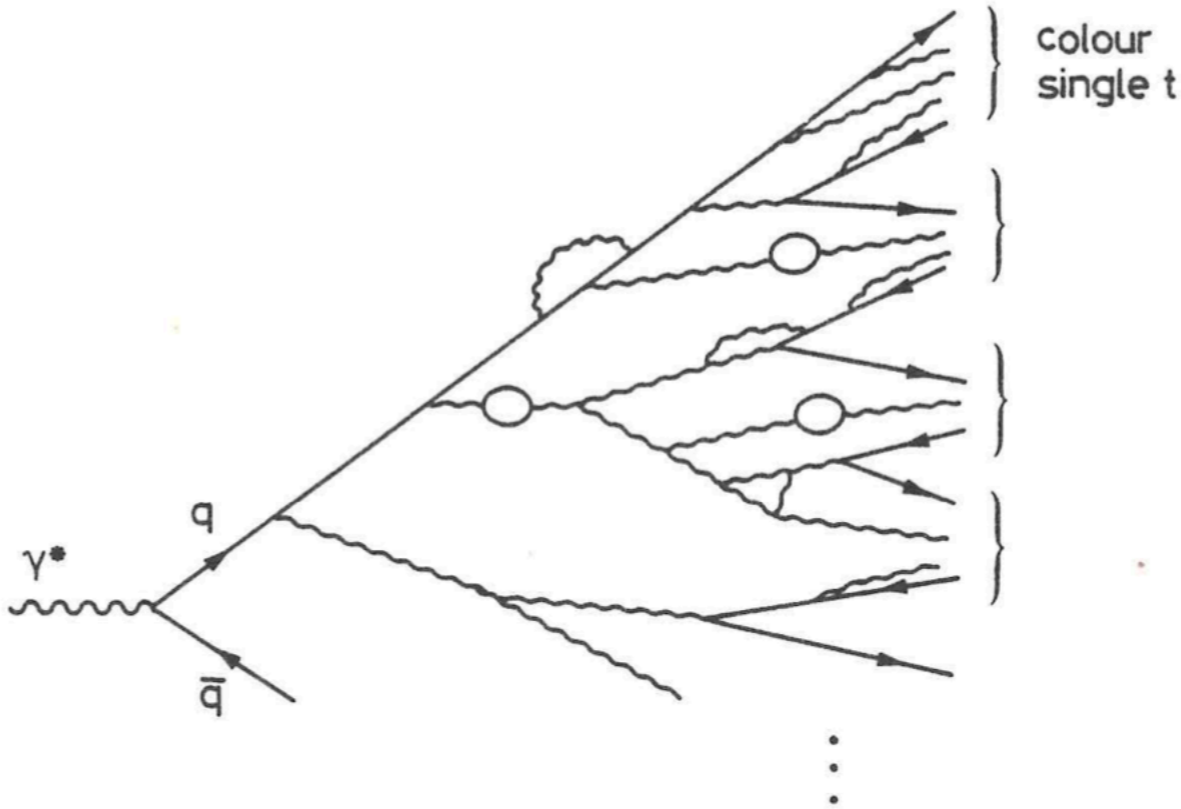
Ken

Multiplicity and multiplicity distributions

$$\langle n(Q^2) \rangle \sim e^2 \sqrt{\frac{C_A}{\pi b}} \sqrt{\log Q^2}$$

$$\frac{\langle n^{ch} \rangle_{q-jet}}{\langle n^{ch} \rangle_{g-jet}} = \frac{C_F}{C_A}, \quad \langle n^{ch}(n^{ch} - 1) \rangle \dots$$

Preconfinement



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