Simulation of the Operation of the ITER Coils using a Domain Decomposition Method

> D. Bessette, L. Bottura, A. Devred, J. Persichetti, F. Gauthier

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the way to new energy



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# **Outline**

- A domain decomposition?
- **Practical implementation**
- $\blacksquare$  The ITER CS coil a test problem
- **Designal Control** Controller work
	- **ITER PF coils**
	- **IFER TF coils**
- Summary and perspective

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http://en.wikipedia.org/wiki/Domain\_decomposition\_methods

Sigh…

# Domain Decomposition

■ […] domain decomposition methods solve a boundary value problem **by splitting it into smaller boundary value problems** on subdomains and **iterating to coordinate the solution**  between adjacent subdomains […] which makes domain decomposition methods **suitable for parallel computing**

# The physics domains



### Which decomposition ?

- Different **physics domains** are strongly coupled on comparable time scales
- Geometric proximity (**space domains**) and difference of characteristic times (**time scale domain**) are more suitable for a domain decomposition
- The *building bricks* are attacking different sets of combined physics on physically coherent objects

# The physics domains





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# Implementation

- Link independent simulation processes (children) through a communication protocol for data exchange
- A single master program (father) manages generation of each process, synchronization, and communication



*Father* **and** *Child* **processes is a concept borrowed from unix**

### Overall structure



# Sample coupling – 1/2



# Sample coupling – 2/2



### Data interpolation





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- Winding pack (WP) consisting of 240 pancakes
- cold mass: 700 t
- cooling path (one pancake): 150m
- **supply/return feeders from** CTB to WP: 53m
- 4 main cryolines CTB to ACB: 40m, 95m
- Circulator (pump): 2 kg/s
- Heat exchanger: 4.2K





# CS conductor





CS CICC originally designed for operating at 40 kA, 13T, 4.5K with a T margin higher (or equal) to 0.7K

Copper content sufficient to limit the hot spot temperature below 150K in case of fast discharge of 7.5 s time constant triggered by a quench

### 15 MA Scenario v1.10 Conductor current



### 15 MA Scenario v1.10 Magnetic field and strain

B map and Strain map are established from the conductor current and the coil layout. Peak values of I, dI/dt, B, dB/dt are generally not coincident in time, space



I, B operating window

Local Strain IxB dependence is included (derived from TFJA4 test at 1000 cycles)  $\epsilon$  (%) = -0.74 – 1.3 e-4 BI with I (kA), B(T) *Potential benefit of the hoop strain not included*



Bpeak a SOD

### 15 MA Scenario v1.10 AC loss

Consider (Jc, Qhyst) of strands selected for the CS conductor (e.g. Hitachi)

Two approaches for coupling losses: models by E. Zapretilina https://user.iter.org/?uid=2FVJB7

- Single time constant model (conservative),  $nTau = 100$ ms, Qcoupl 60%, Qhyst 40% - **8.1 MJ** total losses
- Varying time constant model (most realistic), saturation completed at cycle nr 10,000 Qcoupl 40%, Qhyst 60%
- **6.4 MJ** total losses



### Self field effect

$$
E(x,y) = E_0 \left( \frac{J_{op}}{J_C \left( B(x,y),T,\varepsilon \right)} \right)^n \qquad \qquad B(x,y) = B_0 + \frac{\Delta B}{R_{out}} x
$$

$$
\overline{E} = \frac{1}{A} \int_{A} E(x, y) dA = \frac{1}{A} \int_{A} E_0 \left( \frac{J_{op}}{J_c (B(x, y), T, \varepsilon)} \right)^n dA
$$

Definition of  $B<sub>eff</sub>$  | 1. compute:

×

$$
E_0\left(\frac{J_{op}}{J_C\left(B_{\text{eff}},T,\varepsilon\right)}\right)^n = \overline{E}
$$

 $\overline{J}_C = \frac{J_{op}}{\left(\frac{\overline{E}}{E_0}\right)^{1/n}}$ 2. solve iteratively:  $J_c(B_{\text{eff}},T,\varepsilon) = \overline{J}_c$ 

 $\bf{B}$ 

 $B_0$ 

v

 $R_{\text{out}}$ 

 $2\Delta B$ 

 $\mathbf{x}$ 

 $\boldsymbol{\mathrm{x}}$ 



### Thermal meshing issues

**The typical "mechanical" mesh requires a** relatively fine level of detail (mm) to capture large gradients in stress/strain



**This level of detail (about 10000** elements per x-section !) is not practical for the thermal analysis



# Typical *maximal* mesh

**The "thermal" mesh required is much coarser** for the type of system-scale analysis targeted



Parabolic, 8-nodes, iso-parametric elements

**This is the maximum level of detail** recommended (about 500 elements per x-section)



# Example of CS Hexa-pancake geometry - edges and lines



### Model of CS module



2 fluid channels 1 conductor component 200 nodes per channel 240 THEA processes

Approximately 1 MDOFs 24 hrs execution time for 1800 s

8 sections 106656 nodes 30504 quad elements 35520 line edges 6 HEATER processes

21 volumes 500 junctions 1 FLOWER process

### CS simulation heat balance

- **Approximate calculation of the total energy in- and** outflow (pump work, enthalpy difference, neglect energy stored in heat capacity)
- estimated 2.5 % "discrepancy" on the overall balance – quite good



-40.75

### HX temperatures



Outlet temperature at the CS manifolds during three subsequent Figure 3.9. plasma pulses.





Figure 3.8. Inlet temperature at the CS manifolds during three subsequent plasma pulses.

- **Heat transfer coefficient taken as** constant (500 W/m<sup>2</sup>K)
- $\blacksquare$  Inner surface 2 m<sup>2</sup>
- $\blacksquare$  Outer surface 6 m<sup>2</sup>

# Pressure *bumps* during operation

### 8 -THEA  $7.5$ **VINCENTA**  $\overline{7}$ 6.5 pressure (bar) 6  $5.5$ 5  $4.5$  $\overline{4}$  $3.5$ 3 1000 2000 3000 4000 5000 6000 0

Figure 3.6. Inlet pressure at the CS manifolds during three subsequent plasma pulses.

time (s)



Figure 3.7. Outlet pressure at the CS manifolds during three subsequent plasma pulses.

- **Pressure flexes correspond to changes in** heating power
- **Relatively large pressure excursions and** heating induced backflow

### Temperature increases – 1/2



Figure 3.21. Inlet and outlet temperature at the selected pancake 173 in CS module 2U during three subsequent plasma pulses.



Figure 3.18. Inlet and outlet temperature at the selected pancake 60 in CS module 2L during three subsequent plasma pulses.

### Temperature increases – 2/2



Figure 3.19. Inlet and outlet temperature at the selected pancake 100 in CS module 1L during three subsequent plasma pulses.



Figure 3.20. Inlet and outlet temperature at the selected pancake 135 in CS module 1U during three subsequent plasma pulses.

# 3-D maps at 3600 s















# 3-D maps at 3700 s



5.66 K





# CS results – first cycle

### CS2U Pancake 173



Restarted 4 times during the 1800 s of simulation

# CS results – following cycles

### CS2U Pancake 173



Detail of the first 10 s of simulation



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### FLOWER model of PF coils

 $J3$ 

85 volumes 580 junctions



PF windings





# HEATER models of PF

Example of PF1 32768 nodes 25864 elements 17760 edges 160 lines











### PF Manifolds temperatures



## PF coil temperatures





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# TF coil geometry





No difference among pancakes (yet) Conceptually simple However, complexity is significant

139854 nodes 42856 parabolic elements 26992 edges





# **Summary**

- Displace on the user's side the parameterization of the system analyzed
	- **PRO:** generic code(s), e.g. number of strands in the cable, topology of the coil, cooling mode, field and AC loss dependence on lengthand time, without the need to "recompile"
	- CON: logistics of a large size system becomes heavy, easy to get lost

### Big is out, small and modular is in

- PRO: The good *Father* directs many *Children*, and finds its reward in the details the work of every single one
- CON: The control-freak *Manager* spends most of his time dealing with the details of every *Slave* process (also called micromanagement, watch-out for a "Banker's Bonus")
- Lots can be done, *do we really need it* ?
- Ah, by the way, why "SuperMagnet" ?









# Bunga-BungaMagnet



 1987 – C. Marinucci at SIN computes B, AC loss, temperatures in a plasma burn scenario using a code sequence named "Phase1, Phase2, Phase3,…": the first *power user* of the codes is born

SuperMagnet

- 1989-1995 monolithic analysis codes (SARUMAN, GANDALF) and first attempts to couple domains
- 1995 V. Arp at Cryodata distributes CryoSoft codes under the package name of *Supermagnetpak* (akin to Hepak, Gaspak, Metalpak, Expak, Cppak). I admit I did not like the name
- 1997 C. Luongo and B. Parsons (Bechtel) perform design and analysis of a superconducting system using codes operated in sequence (M'C, OPTICON, ZERODEE) and advocate the need for an integrated system of codes for SC magnet design and analysis
- $\blacksquare$  2001 THEA
- 2008 HEATER
- **Challenge launched in 2008 by the ITER magnet project** leader ("you will not manage to simulate the ITER system") vs. a bottle of *good French Wine*. SuperMagnet is born





# Just in case…



- **THEA performs stationary and non-stationary** Thermal, Hydraulic and Electric Analysis of a generic cable
- Based on a arbitrary set of parallel, 1-D components
- **Models:**

**THEA** 

- heat generation and diffusion along the cable
- mass, momentum and energy transport (He-I and He-II) along the coolant flow
- **Example 2** current diffusion and distribution along the cable





- **Transient and steady state response of a proximity** cryogenic system
- **Nodeling is based on an assembly of active and** passive components forming an hydraulic network:
	- Volumes
	- Interconnected pipes where the flow can be steady state or transient
	- Valves
	- Pumps
	- Turbines
	- Heat exchangers





- Simulation of an electrical circuit powering a coil, modeled as an arbitrary network formed by
	- **Resistances, constant or variable, e.g. the** non-linear value from a quenching cable
	- **Inductances**
	- **voltage or current sources, possibly non**linear





- A3-D solver developed to model heat conduction in
	-
	-



# HEATER – 2/2



- Standard features introduced for ease of use:
	- **Standard access to the database of thermo-physical** properties for cryogenic materials
	- **Possibility to customize the code through usual mechanisms** (user's routines compiled with main code) for:
		- User's defined materials
		- **Heating distributions and waveforms other than the simple** models available
	- Input (mesh, source terms, boundary conditions, simulation parameters) through command file, parsed at runtime. Syntax similar to that used by the other programs of the SuperMagnet suite
	- **Storage of calculation results for later post-processing**
	- Does not require licenses and libraries other than a standard installation (source code)

### Effect of self field

