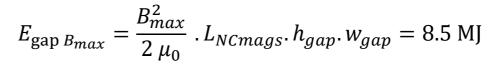


Magnets Cycling Considerations

F. Boattini D. Aguglia G. Brauchli 12.October.22 Values from excel sheet Power and Energy: a general frame

F. Batsch, H. Daimerau.

	RCS2
Total Accelerator length [km]	6
Injection Energy [GeV]	330
Extraction Energy [GeV]	750
Ramping field in NC magnets [T]	-1.8 ÷ 1.8
Ramp time Tramp [ms]	1.12
Repetition time Trep [ms]	100
dB/dt [T/s]	3200
NC magnet length [m]	2438
SC magnets length [m]	1416
NC dipole gap (hxw) [mmxmm]	30x90

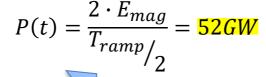


...but: the total NRG of the dipole magnets is higher. Depending upon the layout of the magnet and the requested field quality, there could be a factor of two or even higher

$$E_{mag} \approx 2 \cdot E_{\text{gap } B_{max}} = 16.9 \text{ MJ}$$



Not so big in value but must be delivered very quickly <u>To be minimized in magnet</u> design.

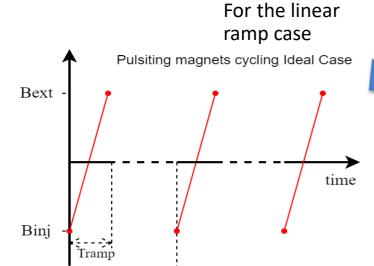




Big and repetitive.

<u>To be minimized with</u>

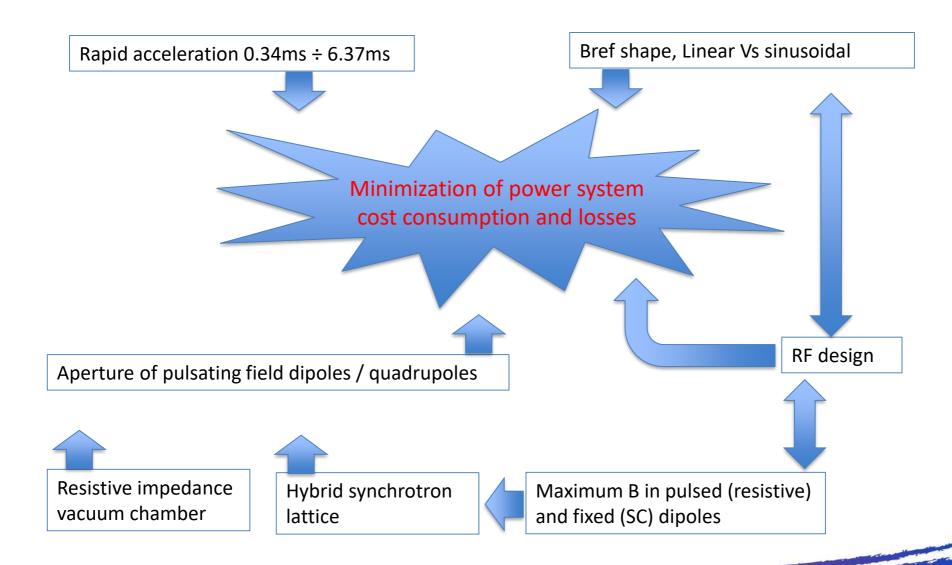
choice of a different Bref



Task 3: Accelerator magnets and powering system



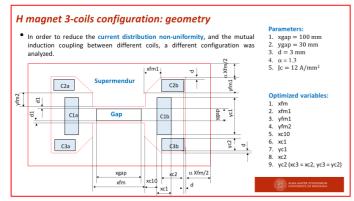
NRG $\approx 10 \div 100 MJ$; $PW_{pk} \approx 10 \div 50 GW$; Optimization required $T_{ramp} \approx 0.5 \div 10 ms$; $f_{rep} \approx 10 Hz$

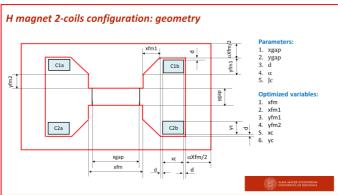


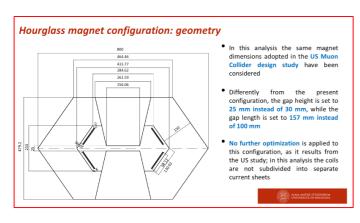
Resistive magnets. Looking at optimization



Courtesy of Marco Breschi University of Bologna







Minimization of total magnet energy. Winding window should be small?

Comparison of the three analyzed configurations

- The 'hourglass' magnet from the US study exhibits the lowest real power (losses) and low reactive power
- The windowframe magnet exhibits the lowest reactive power
- The H-magnets exhibit lower copper losses than the windowframe magnet

	Active power [kW/m]	Reactive power [MVar/m]	Gap energy [J/m]	Energy in air (no gap) [J/m]	Energy in	Losses in iron [kW/m]
Windowframe magnet	1236	14.0	3697	668	1485	18
H magnet - 3 coils	356	16.3	3814	1305	552	26
H magnet - 2 coils	182	19.9	3875	3140	142	111
Hourglass magnet	149	15.7	3821	1165	7	122



Preliminary beta results. Optimization tool still in work



Question:

Can we use cobalt-iron soft ferromagnetic alloys?



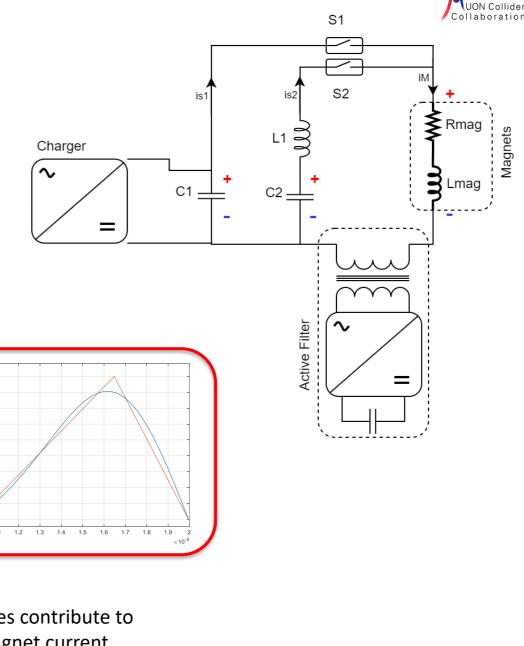
Some calculations of the Powering system for RC(Q)S2

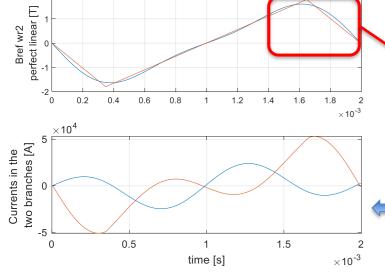
Muon Accelerator Power Supply System. Two harmonics circuit

Simple and generic circuit with double harmonics and active filter.

Two capacitor banks tuned to two different resonating frequencies

Two close-only switches that can be activated synchronously or asynchronously. Possibly based on semiconductor tech.

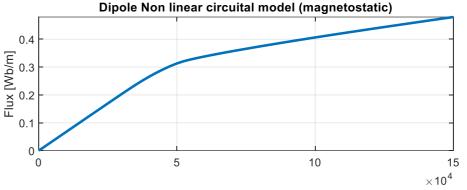




Two branches contribute to the total magnet current

Non linear magnet model for circuit analysis

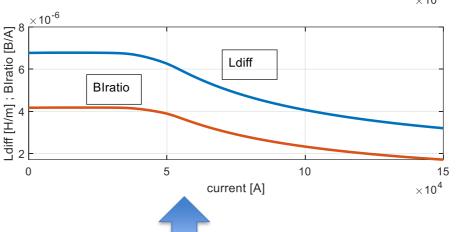
	RCS2
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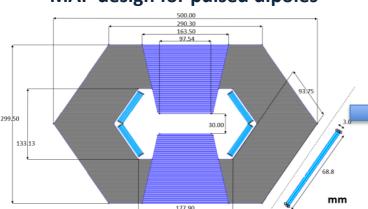


$$L_m = 6.3 \frac{\mu H}{m \cdot turn}$$

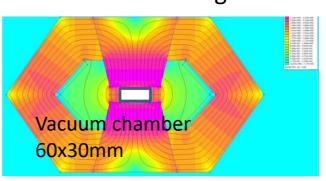
$$\frac{B}{I} = 41.0 \frac{\mu T}{A}$$







Femm non linear magnetostatic



One of the outcomes of Task3. Here a preliminary result to run the calculations of the power circuit

/

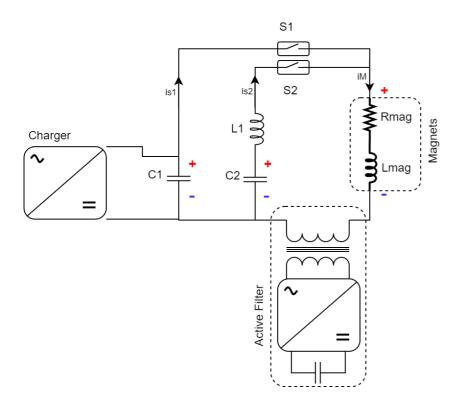
First step: Bref calculation

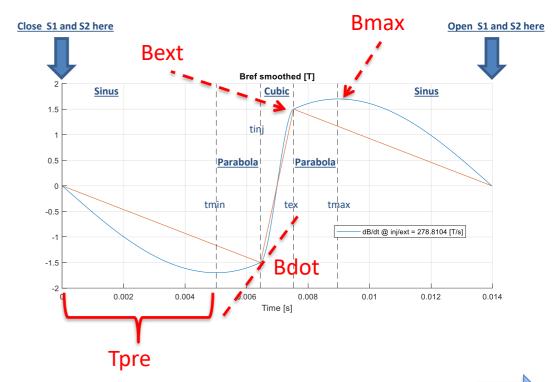


Select the parameters: Bdot, Bmax, Binj/ext, Tpre The reference is generated automatically

Piecewise reference Brefsmooth:

$$B_{gapavg}(t) = \begin{cases} Sinus & 0 < t \leq t_{min} \\ Parabola & t_{min} < t \leq t_{inj} \\ Cubic & t_{inj} < t \leq t_{ext} \\ Parabola & t_{ext} < t \leq t_{max} \\ Sinus & t_{max} < t \leq t_{end} \end{cases}$$





We need a non linear model of the magnet

Second step: Circuit parameters



$$I_{MAG_h}(t) = I_{K1} \sin(\omega_1 t) + I_{Kn} \sin(\omega_n t)$$

What we want (from Fourier series of Brefsmooth)

$$\mathbf{I}_{\mathrm{MAG_h}}(s) = \mathbf{I}_{\mathrm{K1}} \frac{\omega_f}{s^2 + \omega_f^2} + \mathbf{I}_{\mathrm{Kn}} \frac{n \omega_f}{s^2 + n^2 \omega_f^2}$$

Laplace(What we want)

$$\mathbf{I}_{\text{MAG}_{\mathbf{h}}}(s) = \frac{\left(C_{1}C_{2}L_{2}s^{2} + C_{1}\right)\mathbf{V}_{\text{C1}}(0) + C_{2}\mathbf{V}_{\text{C2}}(0)}{\left(C_{1}C_{2}L_{2}\text{Lmag}\right)s^{4} + \left(C_{2}L_{2} + C_{1}\text{Lmag} + C_{2}\text{Lmag}\right)s^{2} + 1}$$

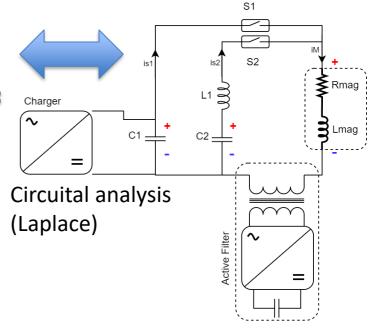
$$C_1 = \frac{1}{\operatorname{Lmag} n^2 \omega_f^2 + \operatorname{Lmag} \omega_f^2 - \operatorname{Lmag} \omega_p^2}$$

$$C_{2} = -\frac{n^{2}\omega_{f}^{4} - n^{2}\omega_{f}^{2}\omega_{p}^{2} - \omega_{f}^{2}\omega_{p}^{2} + \omega_{p}^{4}}{n^{2}\omega_{f}^{4}\left(\operatorname{Lmag} n^{2}\omega_{f}^{2} + \operatorname{Lmag} \omega_{f}^{2} - \operatorname{Lmag} \omega_{p}^{2}\right)}$$

$$L_{2} = -\frac{\left(n^{2}\omega_{f}^{2} + \omega_{f}^{2} - \omega_{p}^{2}\right)\left(\operatorname{Lmag} n^{2}\omega_{f}^{2} + \operatorname{Lmag} \omega_{f}^{2} - \operatorname{Lmag} \omega_{p}^{2}\right)}{n^{2}\omega_{f}^{4} - n^{2}\omega_{f}^{2}\omega_{p}^{2} - \omega_{f}^{2}\omega_{p}^{2} + \omega_{p}^{4}}$$

$$V_{C1}(0) = \operatorname{Lmag} \omega_f (\operatorname{Ik}_1 + \operatorname{Ik}_n n)$$

$$V_{C2}(0) = -\frac{\text{Lmag } n \omega_f^3 \left(\text{Ik}_1 n^3 \omega_f^2 + \text{Ik}_n n^2 \omega_f^2 - \text{Ik}_n n \omega_f^2 - \text{Ik}_1 n \omega_p^2 + \text{Ik}_n \omega_f^2 - \text{Ik}_n \omega_p^2 \right)}{n^2 \omega_f^4 - n^2 \omega_f^2 \omega_p^2 - \omega_f^2 \omega_p^2 + \omega_p^4}$$





Third step: optimization of free oscillation

In case of non linearity (magnet saturation), the equations are not working well. An optimization is needed to find a better set

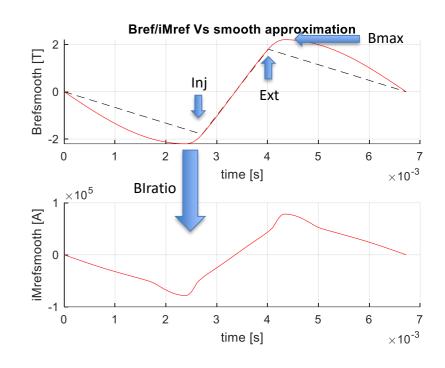
$$C_1 = \frac{1}{\operatorname{Lmag} n^2 \omega_f^2 + \operatorname{Lmag} \omega_f^2 - \operatorname{Lmag} \omega_p^2}$$

$$C_2 = -\frac{n^2 \omega_f^4 - n^2 \omega_f^2 \omega_p^2 - \omega_f^2 \omega_p^2 + \omega_p^4}{n^2 \omega_f^4 \left(\text{Lmag } n^2 \omega_f^2 + \text{Lmag } \omega_f^2 - \text{Lmag } \omega_p^2 \right)}$$

$$L_{2} = -\frac{\left(n^{2}\omega_{f}^{2} + \omega_{f}^{2} - \omega_{p}^{2}\right)\left(\operatorname{Lmag} n^{2}\omega_{f}^{2} + \operatorname{Lmag} \omega_{f}^{2} - \operatorname{Lmag} \omega_{p}^{2}\right)}{n^{2}\omega_{f}^{4} - n^{2}\omega_{f}^{2}\omega_{p}^{2} - \omega_{f}^{2}\omega_{p}^{2} + \omega_{p}^{4}}$$

$$V_{C1}(0) = \operatorname{Lmag} \omega_f (\operatorname{Ik}_1 + \operatorname{Ik}_n n)$$

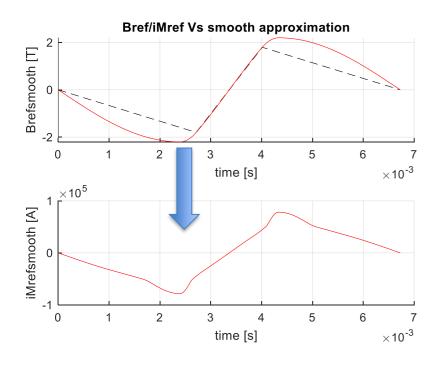
$$V_{C2}(0) = -\frac{\operatorname{Lmag} n \omega_f^3 \left(\operatorname{Ik}_1 n^3 \omega_f^2 + \operatorname{Ik}_n n^2 \omega_f^2 - \operatorname{Ik}_n n \omega_f^2 - \operatorname{Ik}_1 n \omega_p^2 + \operatorname{Ik}_n \omega_f^2 - \operatorname{Ik}_n \omega_p^2\right)}{n^2 \omega_f^4 - n^2 \omega_f^2 \omega_p^2 - \omega_f^2 \omega_p^2 + \omega_p^4}$$



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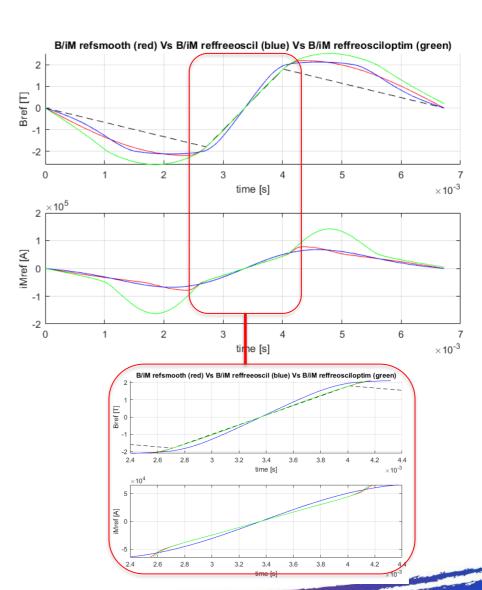
Third step: optimization of free oscillation

In case of non linearity (magnet saturation), the equations are not working well. An optimization is needed to find a better set



Optimization is focused in the area between injection and extraction.

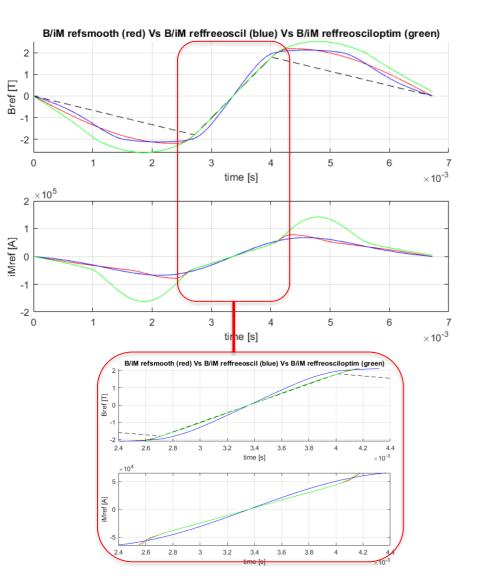
Bmax is higher that what we asked for in the Brefsmooth.

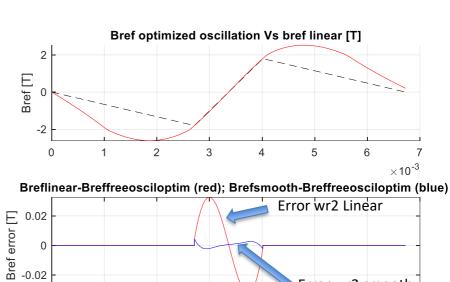


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Third step: optimization of free oscillation

In case of non linearity (magnet saturation), the equations are not working well. An optimization is needed to find a better set





At this point we have the free oscillation that best approximates the Brefsmooth generated at Step1 (correspondent to a given set of Bdot, Bmax, Binj/ext, Tpre)

time [s]

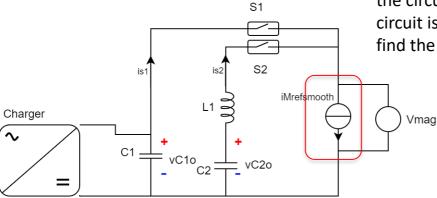
Error wr2 smooth

 $\times 10^{-3}$

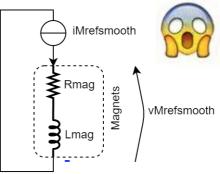
If we want to go closer to the Brefsmooth, we need the active filter and we proceed to step4

Fourth step: calculation of the Active Filter contribution collider actions

Solve the circuit equations below:



iMrefsmooth is imposed in the circuit and the electric circuit is solved in order to find the Vmag Don't do this at home!!

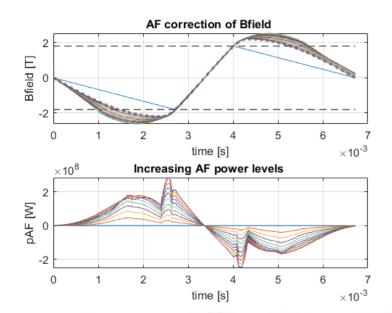


Desired response with imposed current shape. Calculate Vmag



$$v_{AF} = v_{mag} - v_{refsmooth}$$

 $P_{AF} = v_{AF} \cdot iM_{refsmooth}$



The higher the contribution of the AF the closer you get to the desired Brefsmooth (dotted line)

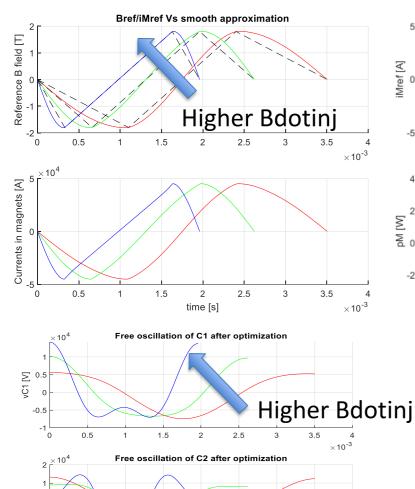


We can play some trends

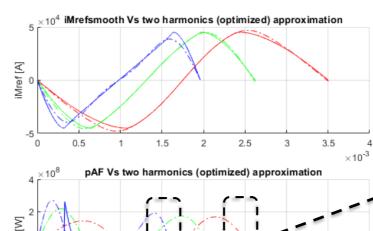
Change the Bdot at Inj/Ext



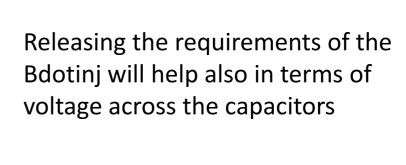
Changing the Inj-Ext derivative with Bmax=Bext=1.8T



vC2 [X]



Higher dBdt in inj/ext requires higher pAF

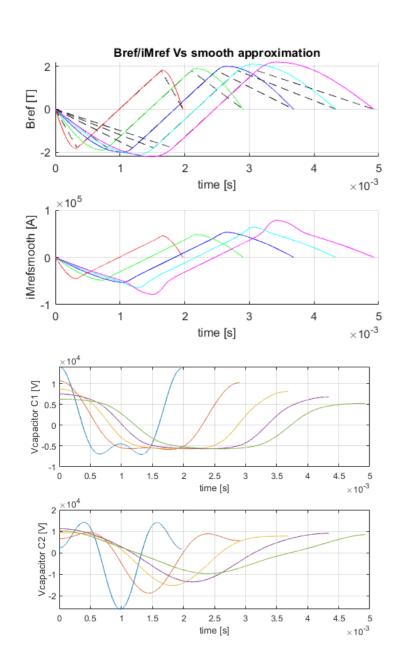


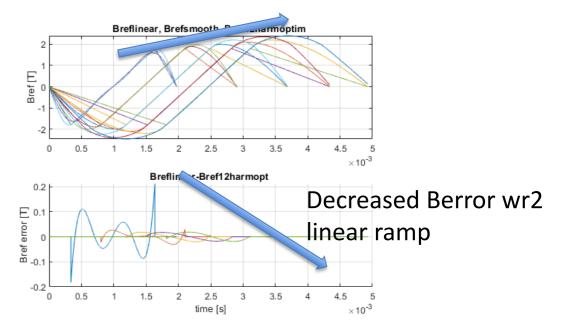
 $\times 10^{-3}$

Change the Bmax (no AF here)



Increased saturation





Is it OK for the magnet?

Decreased voltage across capacitors

CONCLUSIONS



- The design of resistive magnets has commenced. The MAP results are taken as starting/tuning point and alternative designs are considered with the goal of reducing the overall NRG content (UNIBO and TU Darmstadt)
- ENERGY:A correct dimensioning of the gap is fundamental and should benefit from results of the lattice decisions, the RF design and the vacuum chamber dimensioning. We should make sure these three aspects are included as soon as possible
- POWER: shaping correctly the Bref is essential to optimize the maximum power to be delivered. Optimization with RF has started already.
- Magnets models are required with consistent losses calculation in saturated regime. Hysteresis model?