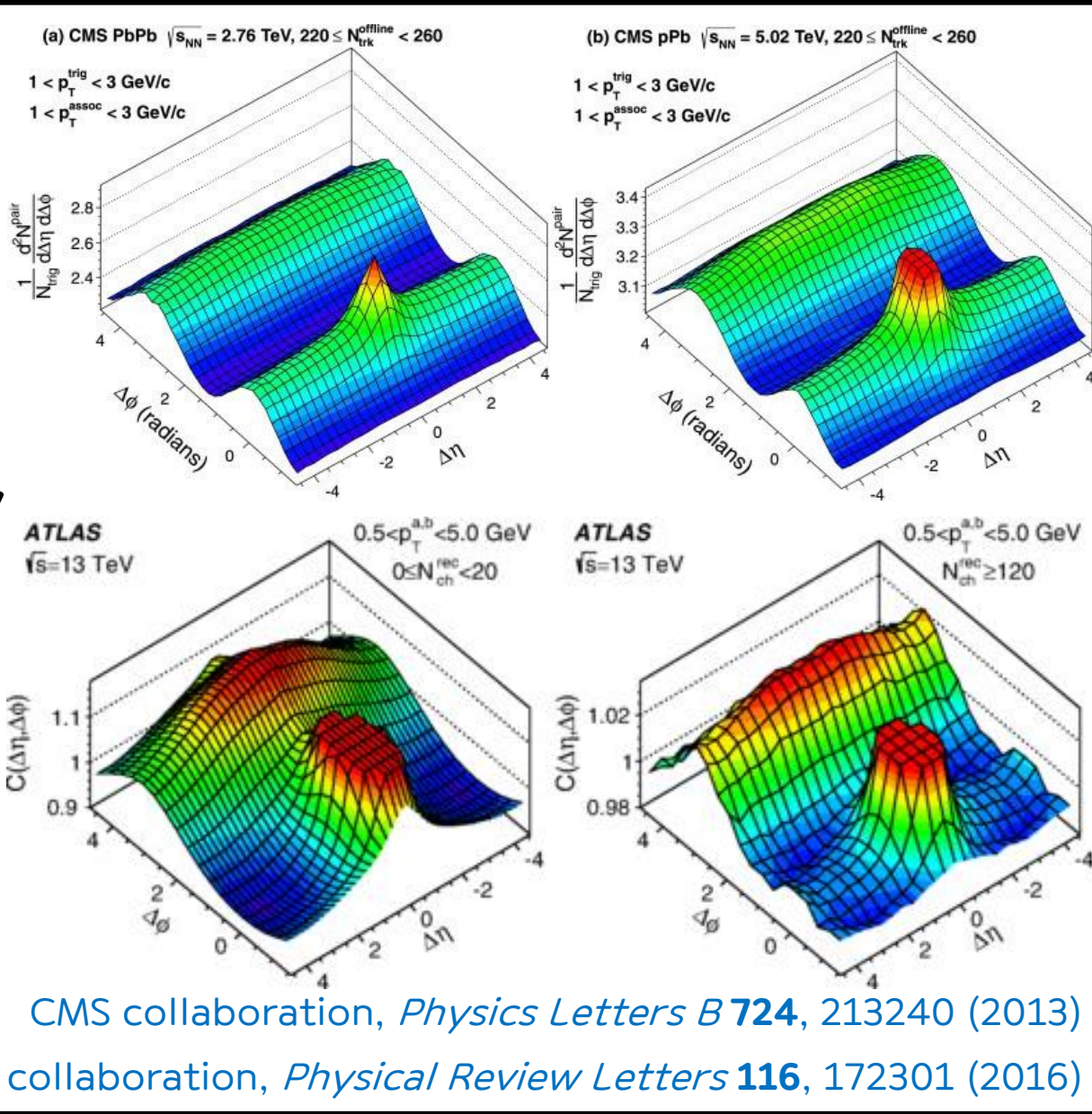


# Describing Ridge behavior via kinematics between jets and medium



## Ridge structure

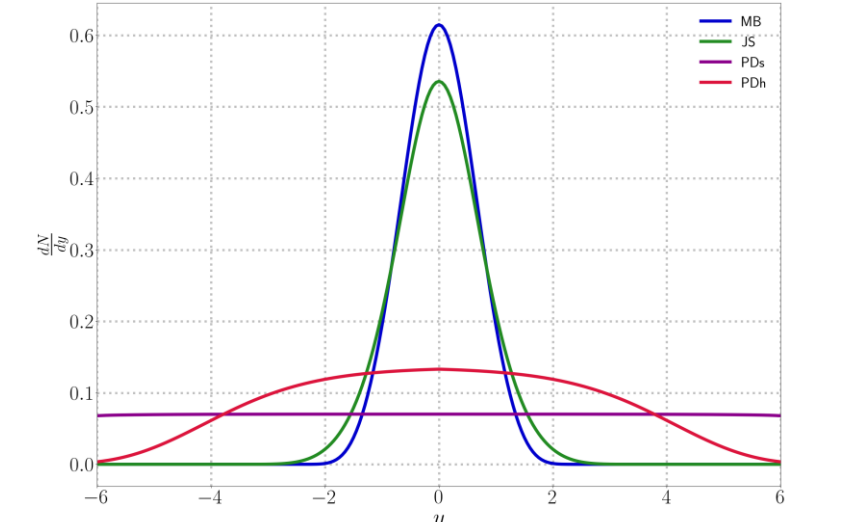
- AA collisions
  - Explained by hydrodynamics
  - Regarded as one of evidence for QGP
- pp collisions with high-multiplicity
  - Reported from LHC
  - Not enough to produce QGP
- Try to understand via kinematics
  - Interaction between jet & medium



## Introduction

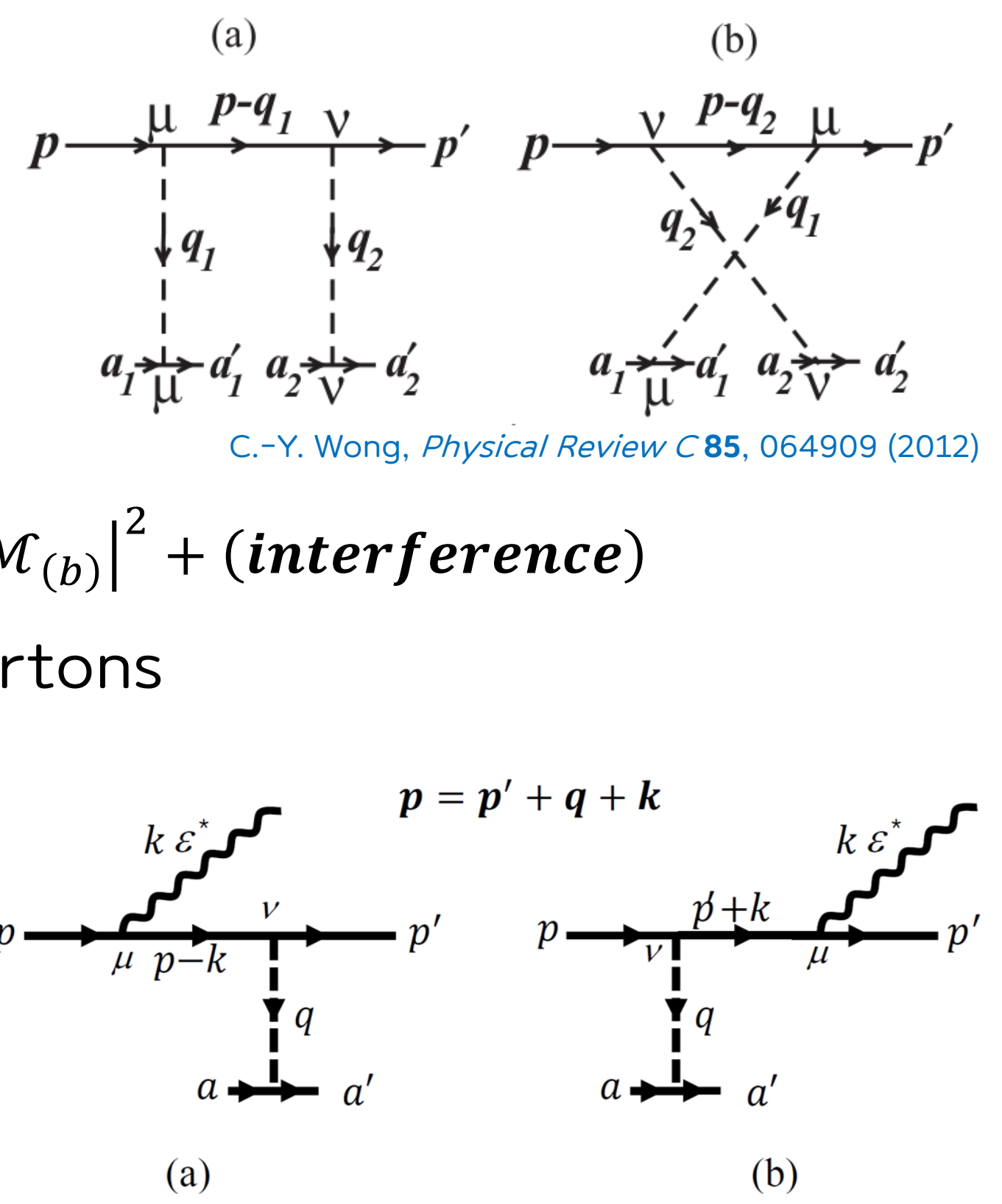
## PDF for Initial states

- We need initial medium parton's momentum distribution.
 
$$\frac{d\sigma}{dy_a d\phi_a} = \int \frac{d\sigma}{dy_a d\phi_a d^3\vec{a}} f(\vec{a}) d^3\vec{a} = \int \frac{d\sigma}{dy_a d\phi_a d^3\vec{a}} f(y_a, a_T) |J| dy_a da_T d\phi_a$$
- Possible choices of  $f(y_a, a_T)$ 
  - Maxwell-Boltzmann distribution (MB)
  - Juttner-Synge distribution (JS)
  - Phenomenological Parton Distribution from Soft scattering (PDs)
  - Phenomenological Parton Distribution from Hard scattering (PDh)



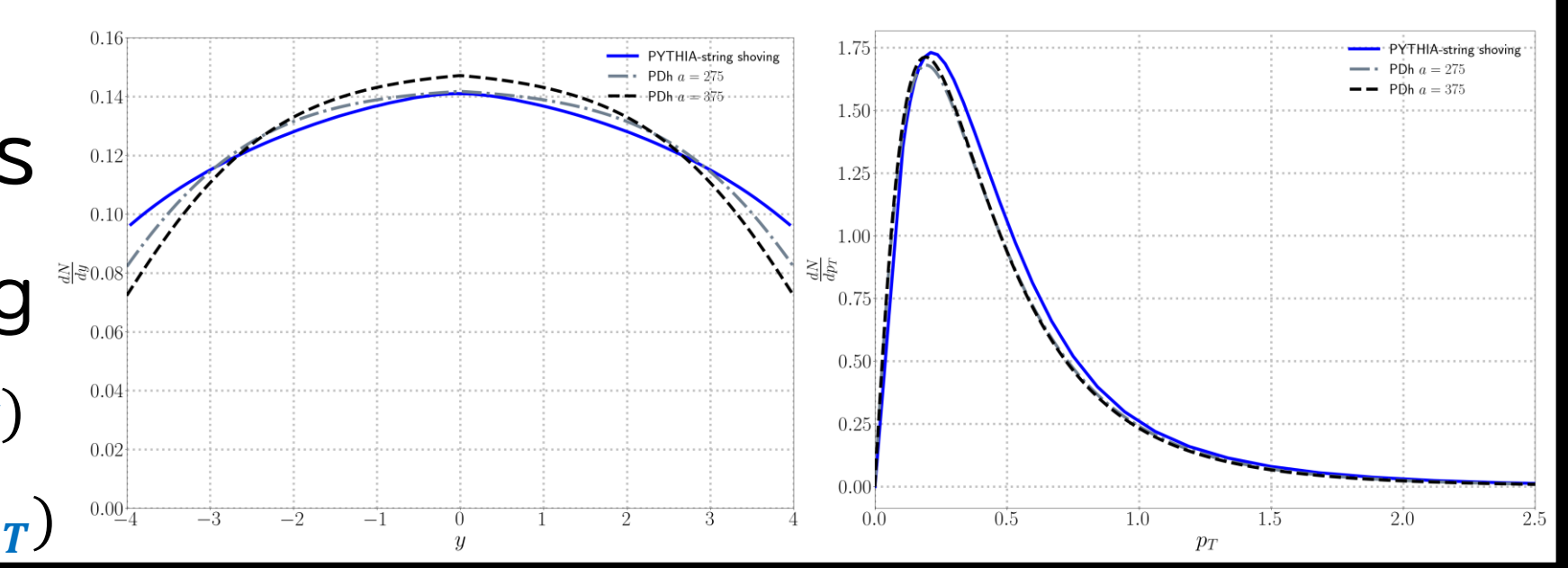
## Jet & Medium interaction

- Energy loss mechanism for jet
  - Collision
  - Radiation
    - Photon (Bremsstrahlung)
    - Gluon
- Based on previous study
 
$$d\sigma \sim |\mathcal{M}_{(a)} + \mathcal{M}_{(b)}|^2 = |\mathcal{M}_{(a)}|^2 + |\mathcal{M}_{(b)}|^2 + (\text{interference})$$
  - Collision between jet & medium partons
  - Collective motion
    - Medium partons aligned along the jet
- Bremsstrahlung process
  - Might interfere constructively
  - Explain Ridge structure



## PDh

- $$f(y_a, a_T) = A(1-x)^a \left[ 1 - (1-q) \frac{m_T}{T} \right]^{\frac{1}{1-q}}$$
- $x$  : Lightcone variable
    - C.-Y. Wong, G. Wilk, L. J. Cirto and C. Tsallis, *Physical Review D* **91** 114027 (2015)
    - R. Hagedorn, *Nuovo Cimento* **6**, 1 (1983)
    - C. Michael and L. Vanryckeghem, *Journal of Physics G* **3**, L151 (1977)
  - Free parameters
    - $a$  : Fallout parameter which decide shape of rapidity distribution
    - $q$  : Non-extensive parameter which phenomenologically equivalent to the quasi-power law
    - $T$  : Temperature of system
  - Choose parameter values
    - Use PYTHIA string-shoving
      - $a = 275, q = 1.14, T = 150 \text{ MeV}$  (y)
      - $a = 375, q = 1.14, T = 150 \text{ MeV}$  (pT)



## Coordinate

- Assumption
    - Jet plane is perpendicular to the beam
- 

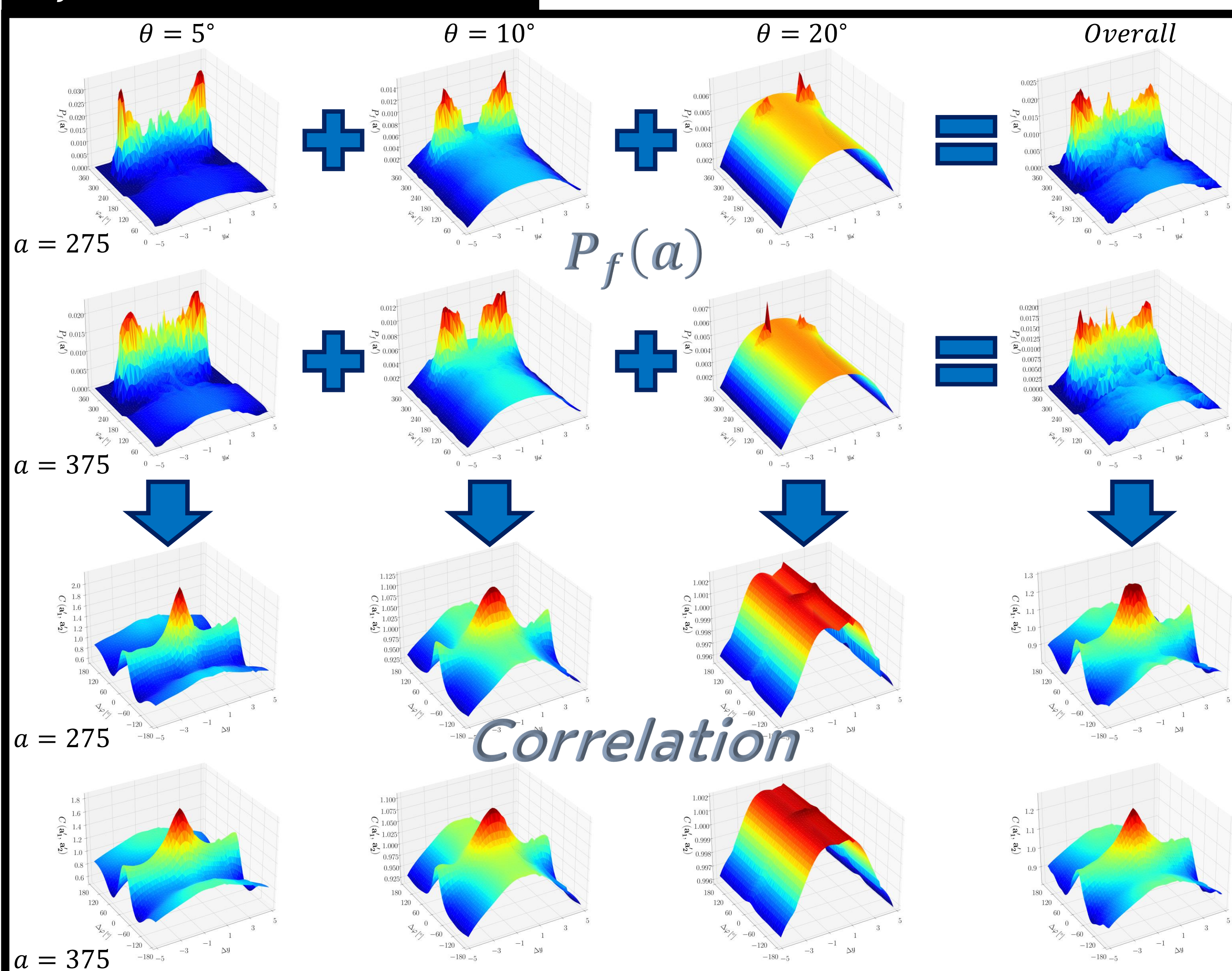
## Jet radius

- 
- $\theta = 3^\circ, 5^\circ, 10^\circ, 20^\circ$
  - $w(\theta_i)$  : weighting function

## Correlation

- In experiment
 
$$C(\Delta\eta, \Delta\phi) = \frac{S(\Delta\eta, \Delta\phi)}{B(\Delta\eta, \Delta\phi)}$$
- In theory
 
$$C(a_1, a_2) = \frac{P_f(a_1, a_2)}{P_i(a_1) \cdot P_i(a_2)}$$
  - $P_f(a_1, a_2) = P_f(a_2)$
  - $P_i(a)$  : Probability of final medium partons **before** interaction with jet particle
  - $P_f(a)$  : Probability of final medium partons **after** interaction with jet particle

## $P_f(a)$ & Correlation



- $P_f(a) = d\sigma + P_{non\_interact}$ 
  - $\theta \uparrow \Rightarrow d\sigma \downarrow$
  - $d\sigma(a = 275)$  is wider
    - Expected from rapidity dist.
- Overall
  - $d\sigma$  at low  $\theta$  is dominant

- Correlation
  - Shape of correlation depends on  $\theta$ 
    - Related on scales of  $d\sigma$
  - Ridge like shape appear
    - Shoulder in near side
    - Flat structure in away side

## Calculation

- Calculate  $v_2$  via
 
$$\frac{dN}{d\phi} \propto 1 + 2 \sum_{n=1} v_n \cos n\phi$$
    - Our results within  $v_2 = 0.025 \sim 0.045$
- 

## Summary & Outlooks

- Calculate correlation and  $v_2$ 
  - Integrate  $d\sigma$  for  $\theta$
- Add gluon radiation