

WP3 introduction: goals and programme

Aurélien MARTENS (IJCLab Orsay)

Introduction: Physics requirements

Observable	statistics	$\Delta\sqrt{s}_{\text{abs}}$ 100 keV	$\Delta\sqrt{s}_{\text{syst-ptp}}$ 40 keV	calib. stats. 200 keV/ $\sqrt{N^i}$	$\sigma_{\sqrt{s}}$ 85 ± 0.05 MeV
m_Z (keV)	4	100	28	1	–
Γ_Z (keV)	4	2.5	22	1	10
$\sin^2 \theta_W^{\text{eff}} \times 10^6$ from $A_{\text{FB}}^{\mu\mu}$	2	–	2.4	0.1	–
$\frac{\Delta\alpha_{\text{QED}}(m_Z^2)}{\alpha_{\text{QED}}(m_Z^2)} \times 10^5$	3	0.1	0.9	–	0.1

High reproducibility of measurements for various sqrt(s) is critically needed



Extract as much information as possible from physics experiments themselves (crossing angle, luminosity, sqrt(s) spread)



Beam-based measurements in real time, including beams energy with resonant depolarization

24/7 operable measurement of depolarization

Resonant depolarization

Scan spin precession frequency with magnetic kicker

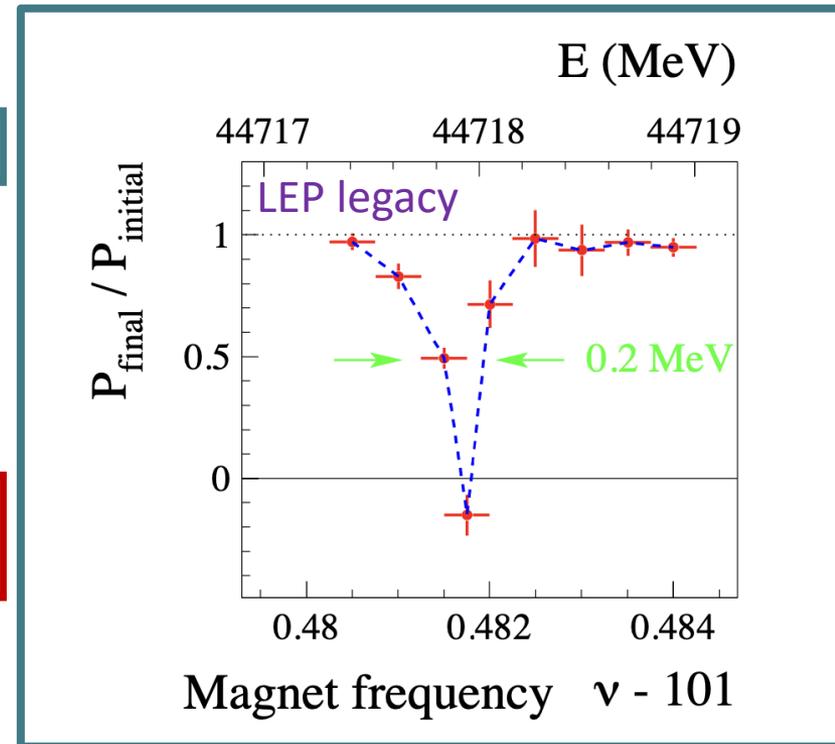


Detect beam depolarization at resonance

beam energy spread too large for colliding beams
(smeared spin resonances)



Use pilot bunches instead



24/7 operable Compton polarimeter for pilot bunches

The Compton process

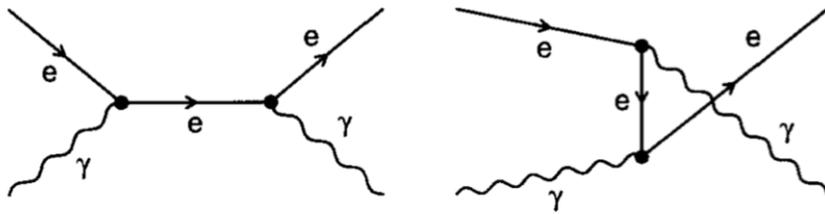
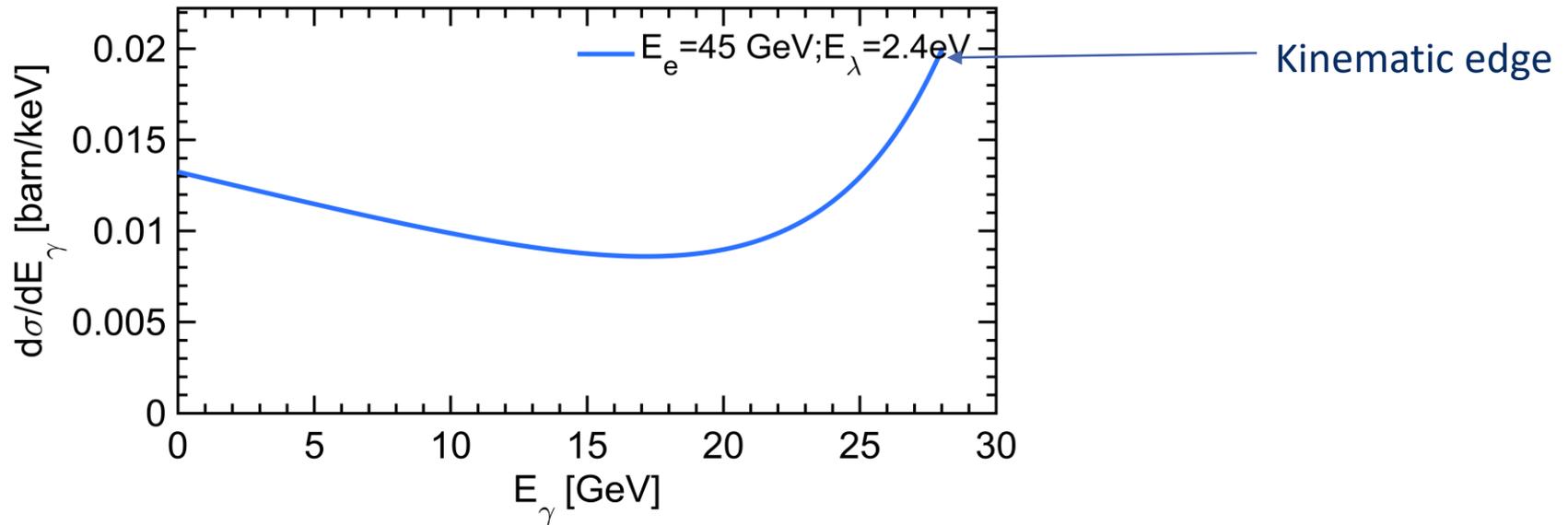
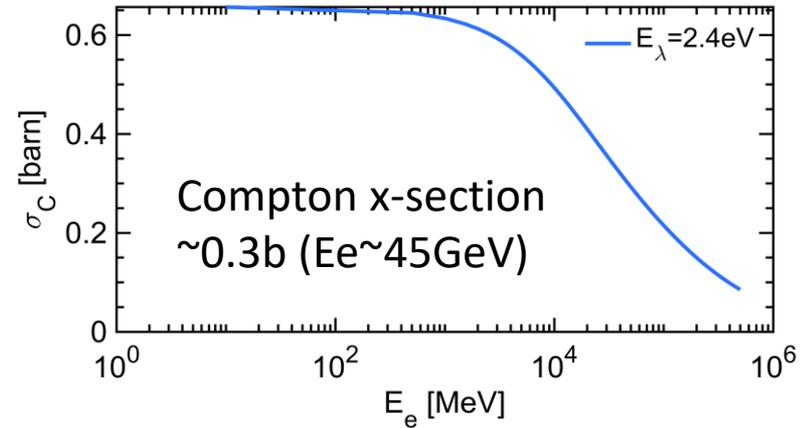


Fig. 1. Tree diagrams for $e^- \gamma \rightarrow e^- \gamma$



Compton polarimeter layout

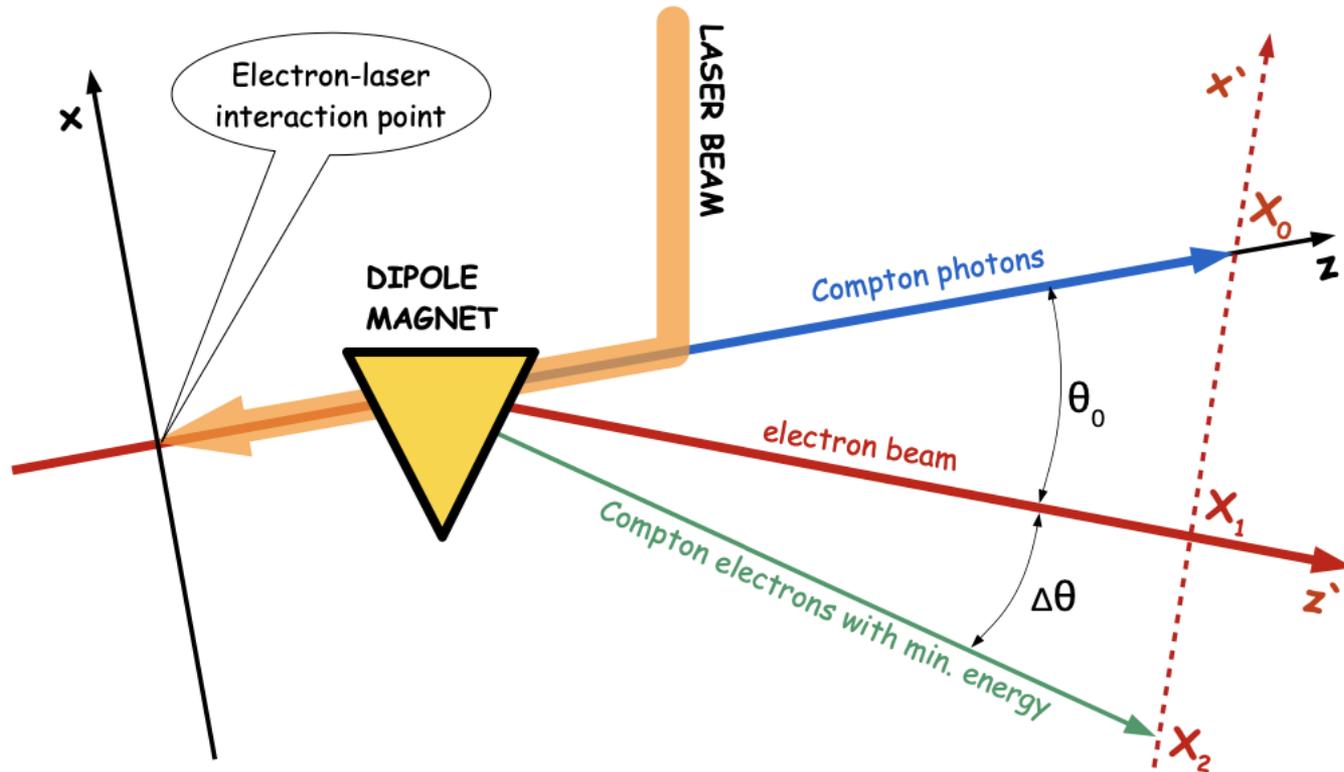


Figure 25. Regular layout of ICS experiments realization.

Redundancy: measure both electrons and photons

Compton cross-section

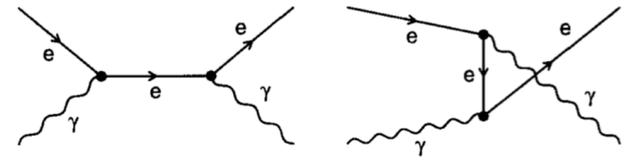


Fig. 1. Tree diagrams for $e^- \gamma \rightarrow e^- \gamma$

$$x = \frac{2E_0 \omega_0}{m^2} (1 + \cos \alpha) \quad y = \frac{E_\gamma}{E_0}$$

The Compton cross-section averaged over scattered particles spins:

Differential cross-section

Transverse laser polarisation: nuisance parameter to minimize and keep under control

Transverse electron beam polarisation: intervenes as an asymmetry in the transverse plane

$$\frac{d\sigma}{dy d\varphi_{obs}}(x, y) = \frac{d\sigma_0}{dy}(x, y) + \frac{d\sigma_\perp}{dy}(x, y) \cos(2(\varphi_{obs} - \varphi_{las})) \mathcal{P}_\perp^{las} + \frac{d\sigma_\parallel}{dy}(x, y) \mathcal{P}_C^{las} (P_T f_T(x, y) \cos(\varphi_{obs} - \varphi_{elec}) + P_L f_L(x, y))$$

Electron beam polarization independent
Electron beam polarization dependent

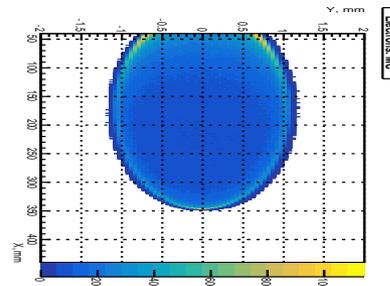
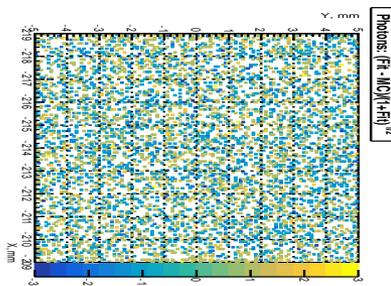
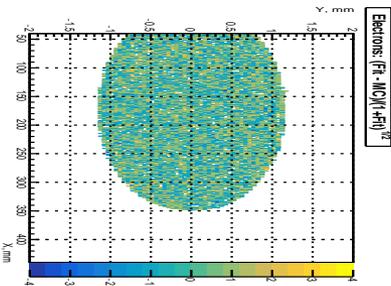
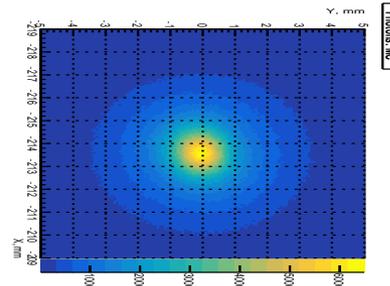
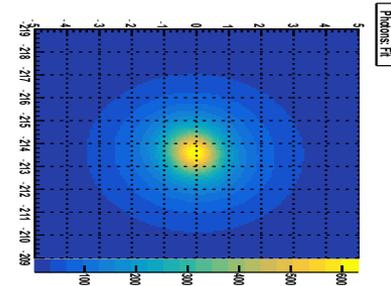
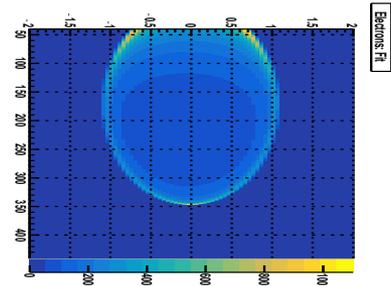
⚠ But small opening angle of scattered particles:

- Electrons → spectrometer
- Photons → difficult to measure asymmetric distribution of a narrow spot → long lever arm needed

Transverse distributions

Nickolai's presentation

Based on measurement of scattered particles transverse distributions (pilot detectors)



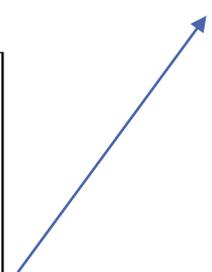
Inel[0] Core(TM) i3-5100U CPU @ 2.30GHz
 Electrons fit: t = 1.193 s (CPU 1260 s)
 $\chi^2/NDF = 48942/0.99849$ Prob = 0.9981
 $X_1 = 400.025 \pm 0.015$ mm
 $X_2 = 0.947582 \pm 0.003$ mm
 $X = 0.102 \pm 0.001$
 $Y_1 = 0.195 \pm 0.002$
 $Y_2 = 0.196 \pm 0.001$
 $Y = 0.196 \pm 0.001$
 $S_1 = 274.3 \pm 3.3$ mm
 $S_2 = 28.31 \pm 0.03$ mm
 $S_{\text{beam}} = 45.5984 \pm 0.005$ GeV

Inel[0] Core(TM) i3-5100U CPU @ 2.30GHz
 Photons fit: t = 75 s (CPU 74 s)
 $\chi^2/NDF = 16476.5/16374$ Prob = 0.2846
 $X_0 = 213.543 \pm 0.002$ mm
 $X = 0.107 \pm 0.002$
 $X_1 = 0.100 \pm 0.001$
 $X_2 = 0.184 \pm 0.007$
 $Y_1 = 0.188 \pm 0.006$
 $Y_2 = 0.202 \pm 0.002$
 $Y_3 = 0.202 \pm 0.002$
 $S_1 = 255.0 \pm 4.0$ um
 $S_2 = 49.27 \pm 9.64$ um

Monte-Carlo Parameters:
 Electron $E_0 = 45.600$ GeV
 Laser $\lambda_0 = 0.532$ um
 Electron $q = 89.240 \cdot 10^3$
 Compton $k = 1.628$
 Bend: $q_0^0 = 190.441$
 $(X_1, X_2, X_3) = (0.100, 0.100, 0.990)$
 $(Z_1, Z_2, Z_3) = (0.200, 0.200, 0.200)$

All components extracted with ~ 0.001 precision in few seconds

Beam energy may be extracted too! \rightarrow redundancy



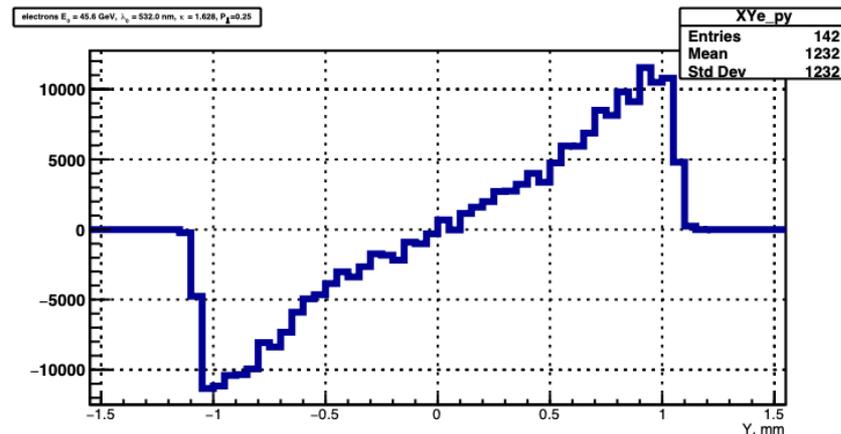
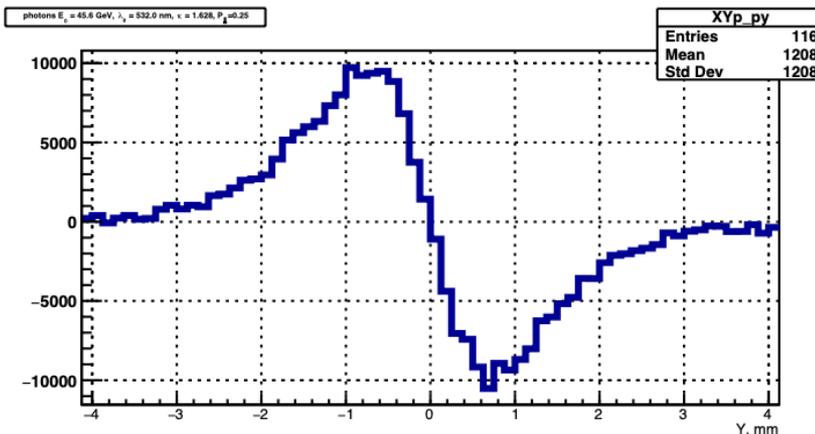
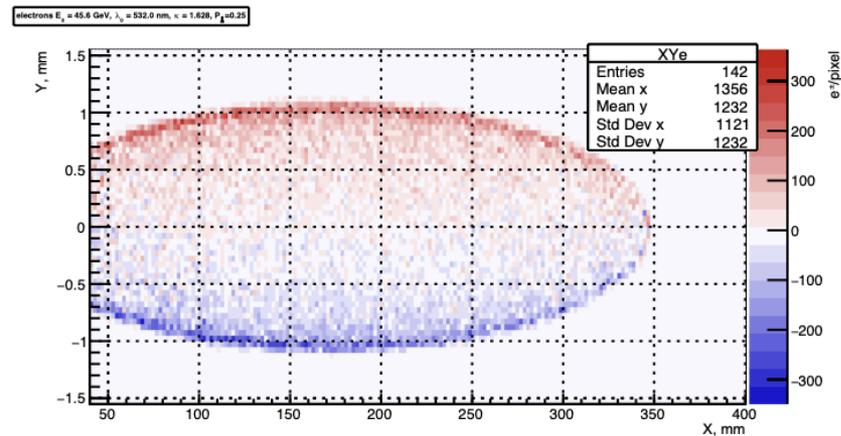
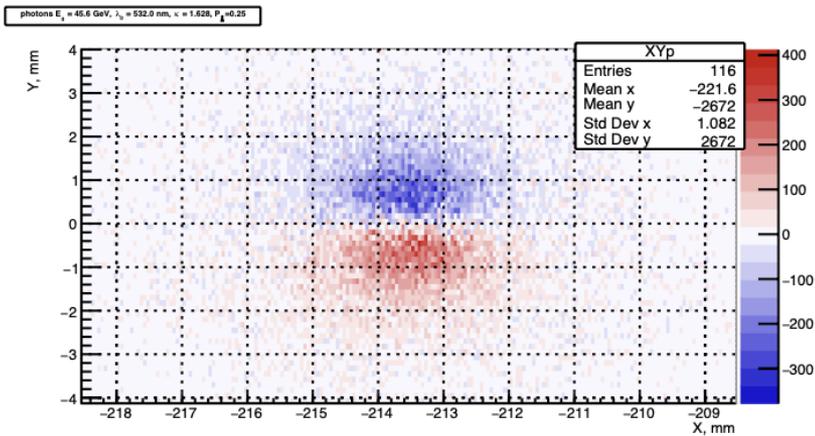
Realistic detector specifications to be drawn

Open questions: detector spatial resolution, longitudinal sampling, rates, combined fits, laser polarization flips,...

Laser helicity asymmetries

Nickolai's presentation

Blondel et al., arXiv:1909.12245



Reproducible and well known laser helicity flip is required

Workshop goals

1. Clarify running scenarii (input from other WPs)
 - Do we need polarimetry for colliding bunches ? With what precision ?
2. Review and update laser pulse parameters (wavelength, spectrum/pulse duration, crossing angle, polarization switching/rotating, beam size at IP) able to cope with various scenarii with most recent lattice parameters
 - Will need validation with 3D-polarimeter fits
3. Draw a first rough sketch for the laser integration
 - Laser room, transport, interaction chamber
 - Identify difficulties
 - Possibly important cost driver
4. Determine required detector performance and review technologies used in similar contexts
5. Specify deflecting magnet performance and necessary calibration accuracy
6. Start identify possible problematic backgrounds
7. Start to list prioritize systematics to be studied at a later stage

