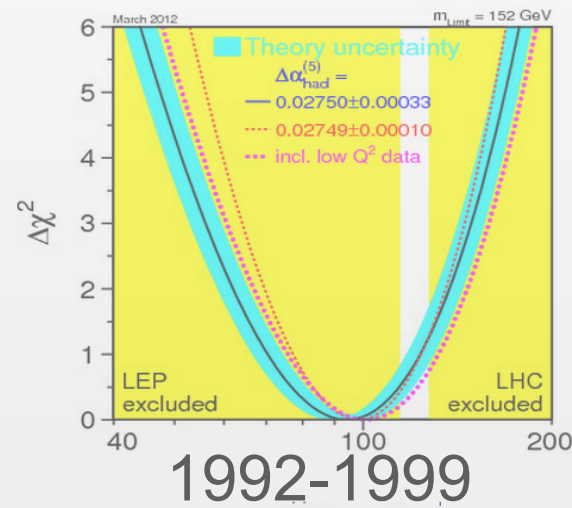


1964



# — FCC —

## Motivations for Precision

(focus on ‘why?’ rather than ‘how?’)

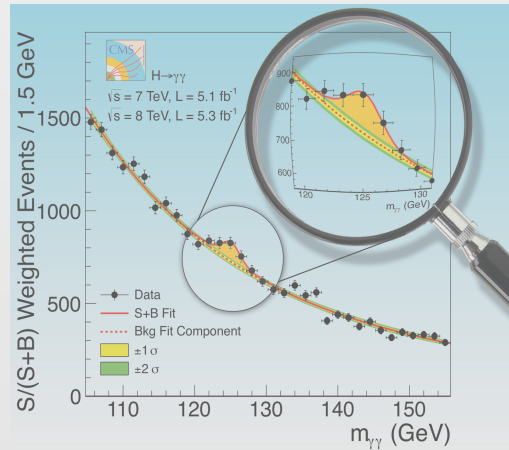
*FCC EPOL Workshop  
CERN, Sept. 20, 2022*



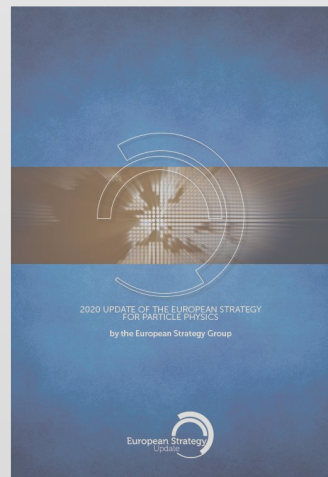
*Christophe Grojean*

DESY (Hamburg)  
Humboldt University (Berlin)

( [christophe.grojean@desy.de](mailto:christophe.grojean@desy.de) )



2012



2020



2040

# The HEP landscape after LHC<sub>1-11</sub>

Nicely summarised by

MLM@Aspen'14

G. Giudice@DESY'22

## My key message

- The days of “guaranteed” discoveries or of no-lose theorems in particle physics are over, at least for the time being ....
- .... but the big questions of our field remain wild open (hierarchy problem, flavour, neutrinos, DM, BAU, ....)
- This simply implies that, more than for the past 30 years, future HEP's progress is to be driven by experimental exploration, possibly renouncing/reviewing deeply rooted theoretical bias

The LHC has revolutionised our views on the particle world.  
It didn't find (yet) any BSM physics.  
But its results have forced us to think differently about BSM physics.

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The LHC has revolutionised our views on the particle world.

It didn't find (yet) any BSM physics.  
But its results have forced us to think differently about BSM physics.

**Precision** measurements will serve as a **guide** to further exploration at higher energies:

- 1) they will set strong bounds on new physics
- 2) they could indirectly reveal new physics
- 3) importantly, they could identify structural properties of new physics (e.g. new symmetries)

# LHC: driving cultural change forward

Absence (so far) of new physics where it was expected (TeV)

&

progresses in string theory/quantum gravity (swampland, no global symmetries)



question our description of Nature in terms of effective quantum field theories  
(non-locality, IR/UV correlation)

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IR parameters are functions of some fields whose value vary during the cosmological history  
or throughout a complex vacuum structure

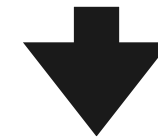
**Axion:**  $\mathcal{L}_{\text{dim}=4} = \frac{g_s^2}{32\pi^2} \bar{\theta} G_{\mu\nu}^a \tilde{G}^{\mu\nu,a} \quad \bar{\theta} \rightarrow a$       **Higgs mass:** relaxion, etc.       $\mu|H|^2 \rightarrow g\Lambda\phi|H|^2$

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## cosmological naturalness power counting

mass of the cosmological mediator  $\rightarrow$   $\frac{m_\phi^2}{\mu^2} \simeq \frac{\tilde{v}^{2q-j} v^j}{\Lambda_H^{2q}} \lesssim \frac{v^{2q}}{\Lambda_H^{2q}}$   $\leftarrow$  EW scale

its coupling to SM  $\rightarrow$   $\frac{m_\phi^2}{\mu^2} \simeq \frac{\tilde{v}^{2q-j} v^j}{\Lambda_H^{2q}} \lesssim \frac{v^{2q}}{\Lambda_H^{2q}}$   $\leftarrow$  Higgs cutoff

q = integer defines the BSM model

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We need a broad, versatile and ambitious programme that

1. sharpens our knowledge of already discovered physics
2. pushes the frontiers of the unknown in the intensity and energy frontiers

— FCC-ee+eh+hh combine these different aspects —

more PRECISION, more ENERGY for more SENSITIVITY to New Physics

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This makes FCC-ee valuable on its own, though the synergy with FCC-hh remains invaluable.

# Why More Precision?

I Indirect sensitivity to New Physics (see quantitative concrete examples later)

LEP  
( $10^6 Z$ )

$$\frac{c}{\Lambda^2} < \Delta$$

stat. dominated

observables

FCC-ee  
( $10^{12} Z$ )

$$\frac{c}{\Lambda^2} < 10^{-3} \Delta$$

i.e. improve bounds by

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2 The precise values of the Higgs couplings control the structure of matter/Universe

$m_W, m_Z$  ↔ Higgs couplings  
↑  
lifetime of stars  
(why  $t_{\text{Sun}} \sim t_{\text{life evolution}}$ ?)

$m_e, m_u, m_d$  ↔ Higgs couplings  
↙ ↘  
size of atoms      nuclei stability

EW @  $t \sim 10^{-10} \text{s}$  ↔ Higgs self-coupling  
?

matter/anti-matter ↔ CPV in Higgs sector  
?

# Why More Precision?

3

The values of the EFT interactions among SM fields will reveal the “selection rules” of the SM, with intimate links to new structure/symmetries

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i^{(6)}}{\Lambda^2} \mathcal{O}_i^{(6)} + \sum_j \frac{c_j^{(8)}}{\Lambda^4} \mathcal{O}_j^{(8)} + \dots$$

Dimensional arguments impose

$$c_i^{(D)} \sim (\text{coupling})^{n_i-2} \quad n_i = \text{number of fields in operator } \mathcal{O}_i^{(D)} \text{ (independent of } D)$$

generically, (coupling  $\sim g^*$ ) coupling of New Physics to SM  
but there might exist “**selection rules**” that lead to other scaling

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## Examples of symmetries leading to different selection rules

Operator	Naive (maximal) scaling with $g_*$	Symmetry/Selection Rule and corresponding suppression
$O_{y_\psi} =  H ^2 \bar{\psi}_L H \psi_R$	$g_*^3$	Chiral: $y_f/g_*$
$O_T = (1/2) \left( H^\dagger \overleftrightarrow{D}_\mu H \right)^2$	$g_*^2$	Custodial: $(g'/g_*)^2, y_t^2/16\pi^2$
$O_{GG} =  H ^2 G_{\mu\nu}^a G^{a\mu\nu}$ $O_{BB} =  H ^2 B_{\mu\nu} B^{\mu\nu}$	$g_*^2$	Shift symmetry: $(y_t/g_*)^2$ Elementary Vectors: $(g_s/g_*)^2$ (for $O_{GG}$ ) $(g'/g_*)^2$ (for $O_{BB}$ ) Minimal Coupling: $g_*^2/16\pi^2$
$O_6 =  H ^6$	$g_*^4$	Shift symmetry: $\lambda/g_*^2$

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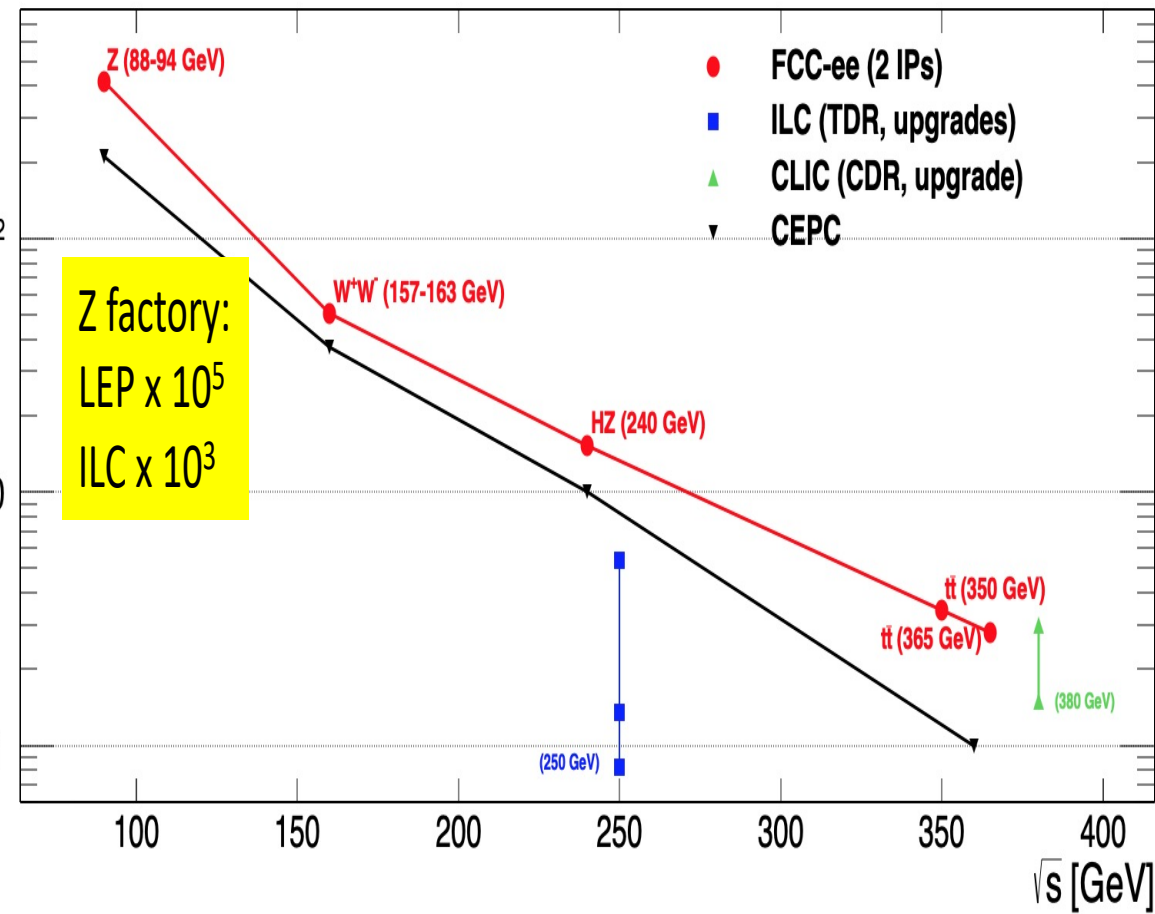
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Precision physics exp. (EDMs, g-2...) usually constrains one operator. Need a collider to have access to several of them and then understand the underlying structure.

# FCC-ee Run Plan

LEP data accumulated in first 3 mn. Then exciting & diverse programme with different priorities every few years.  
 (order of the different stages still subject to discussion/optimisation)



Phase	Run duration (years)	Center-of-mass Energies (GeV)	Integrated Luminosity ( $\text{ab}^{-1}$ )
FCC-ee-Z	4	88-95	150
FCC-ee-W	2	158-162	12
FCC-ee-H	3	240	5
FCC-ee-tt	5	345-365	1.5

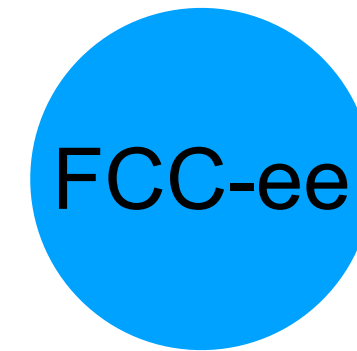
— Superb statistics achieved in only 15 years —

**in each detector:**  
 **$10^5$  Z/sec,  $10^4$  W/hour,**  
**1500 Higgs/day, 1500 top/day**

### Event statistics (2IP)

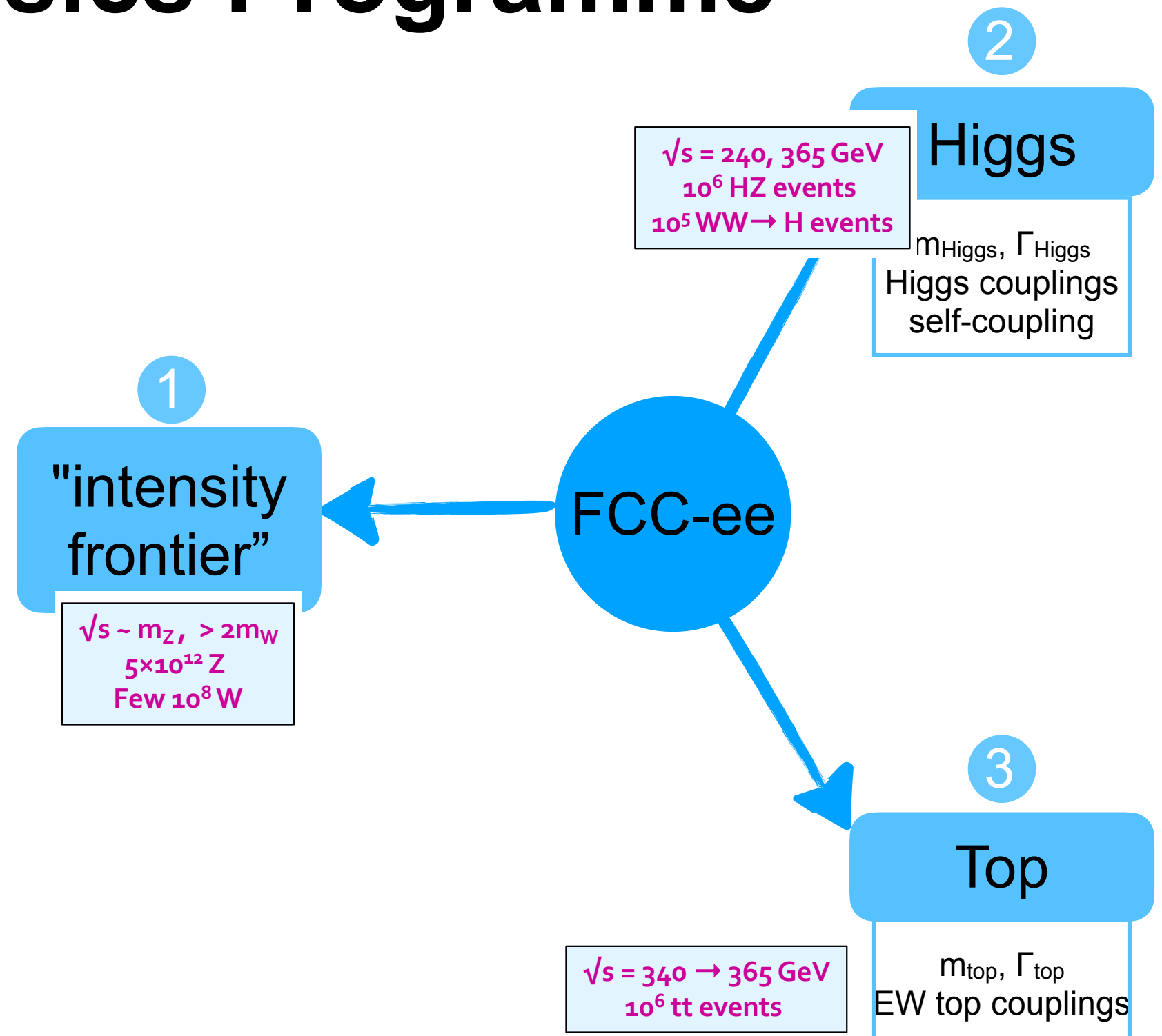
Z peak	$E_{\text{cm}} : 91 \text{ GeV}$	4yrs	$5 \cdot 10^{12}$	$e+e- \rightarrow Z$	LEP x $10^5$	$E_{\text{CM}}$ errors: <100 keV
WW threshold	$E_{\text{cm}} \geq 161 \text{ GeV}$	2yrs	$>10^8$	$e+e- \rightarrow WW$	LEP x $2 \cdot 10^3$	<300 keV
ZH maximum	$E_{\text{cm}} : 240 \text{ GeV}$	3yrs	$> 10^6$	$e+e- \rightarrow ZH$	Never done	1 MeV
<i>s</i> -channel H	$E_{\text{cm}} : m_H$	(3yrs?)	$O(5000)$	$e+e- \rightarrow H$	Never done	$\ll 1 \text{ Me}$
$\bar{t}t$	$E_{\text{cm}} : \geq 350 \text{ GeV}$	5yrs	$10^6$	$e+e- \rightarrow \bar{t}t$	Never done	2 MeV <sub>6</sub>

# FCC-ee Physics Programme

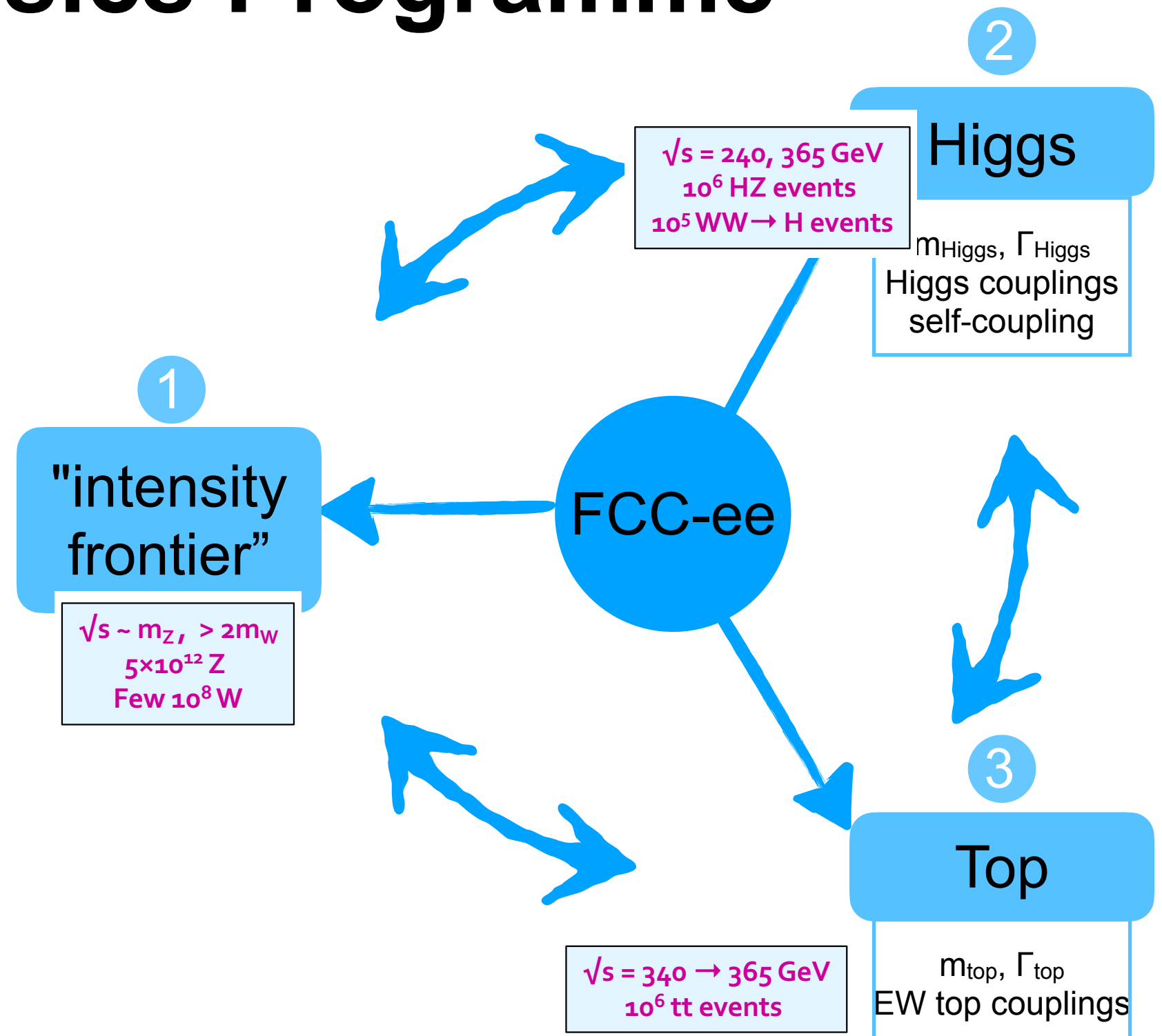




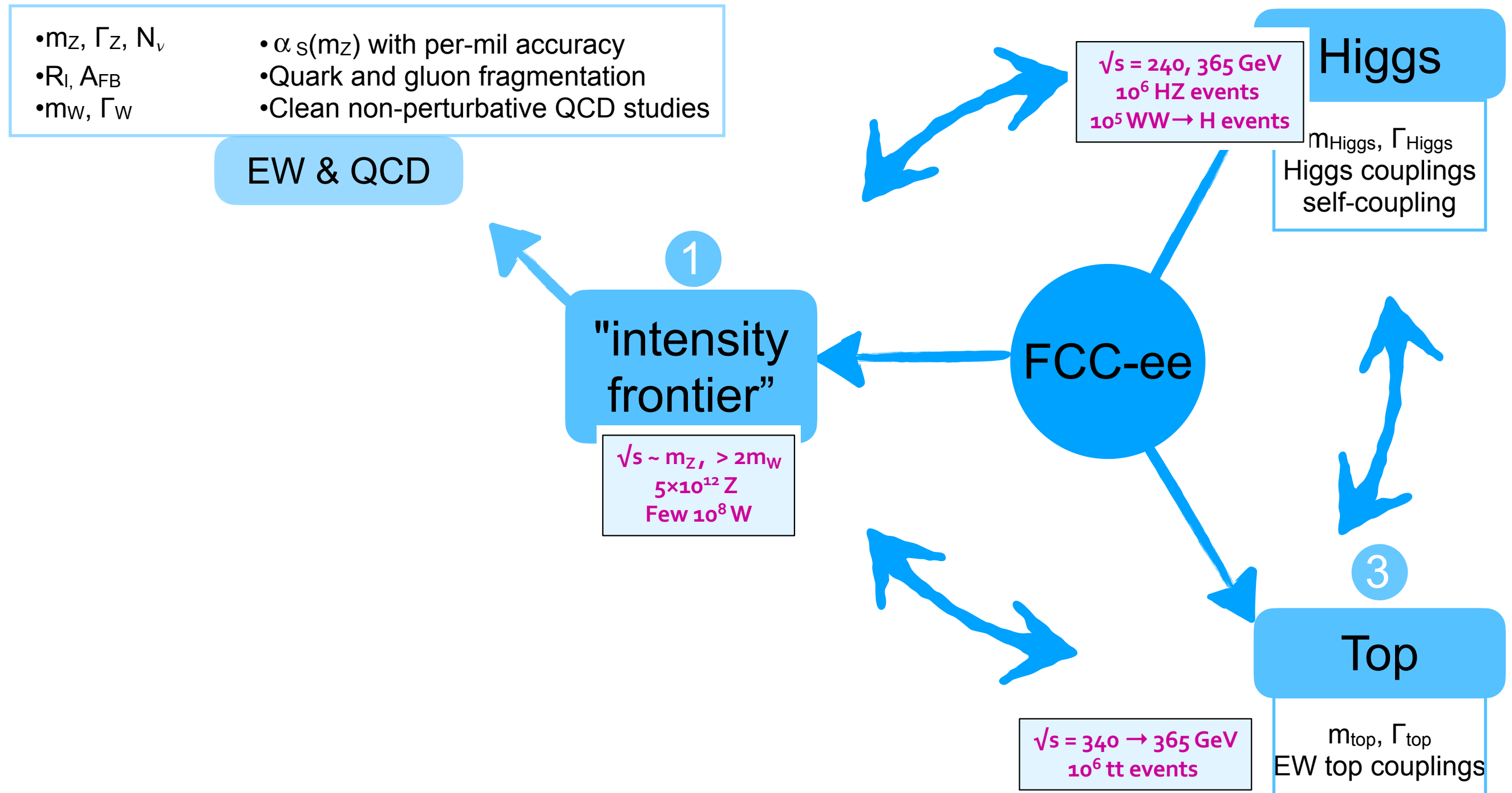
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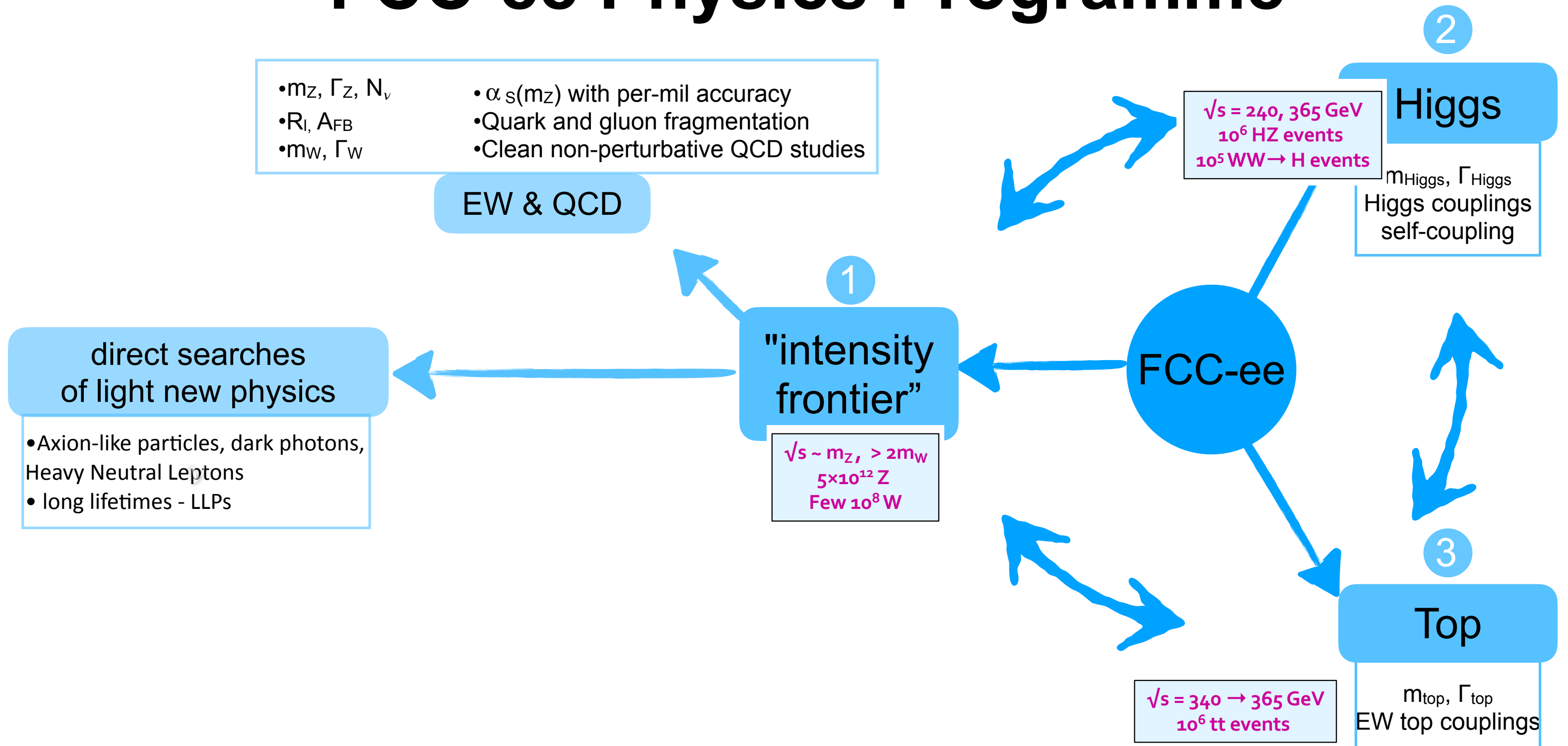
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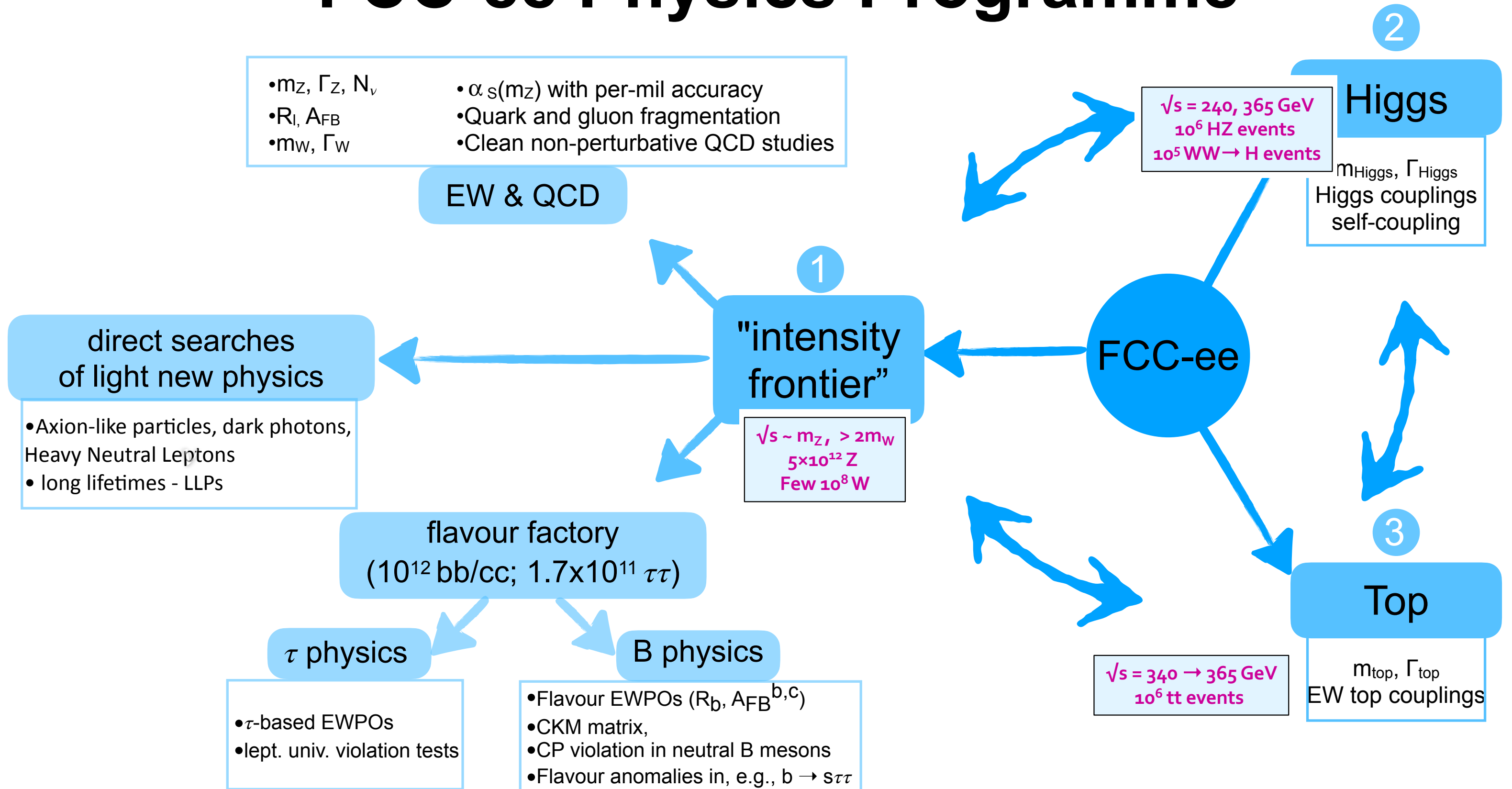
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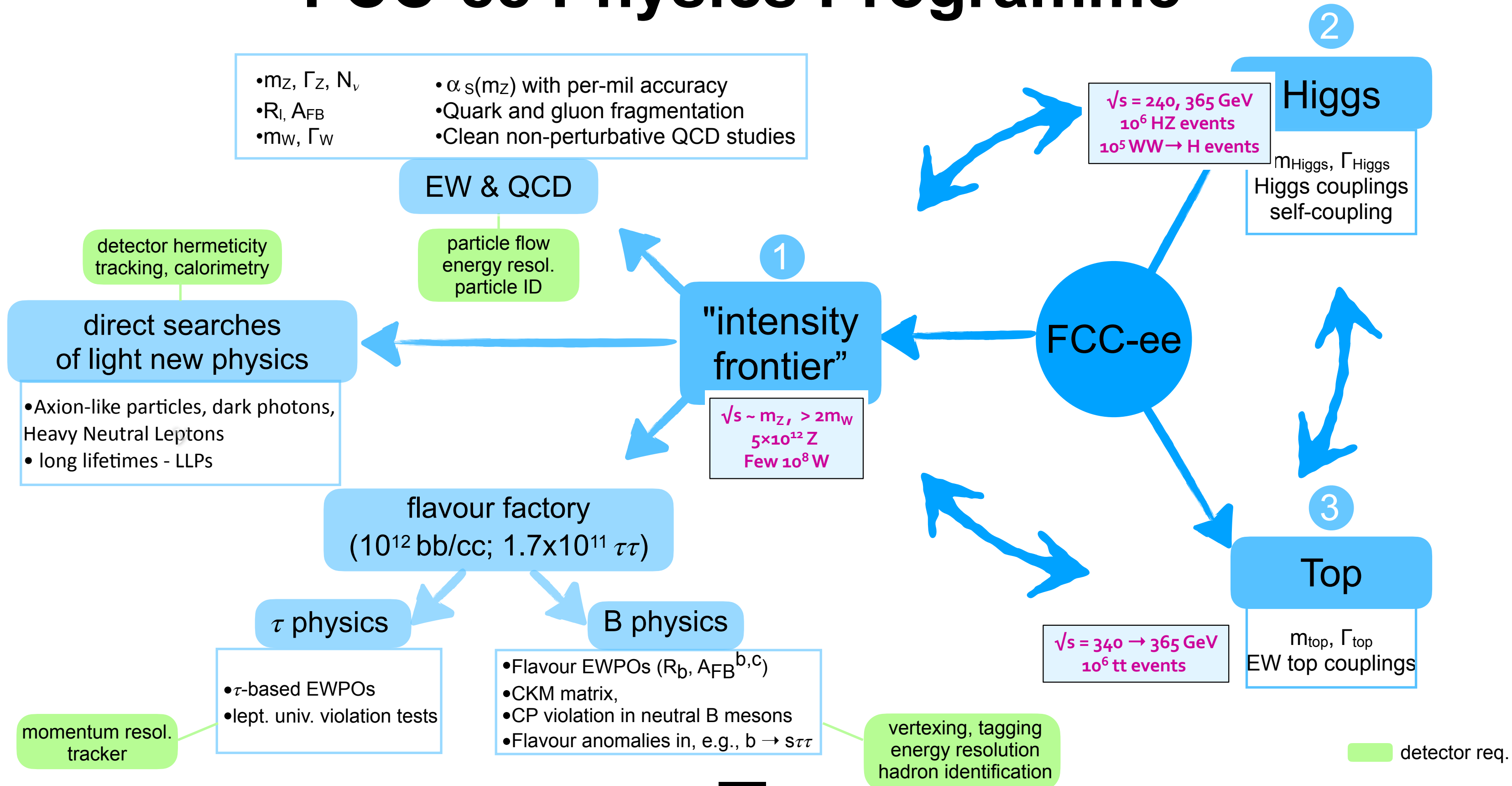
# FCC-ee Physics Programme



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# FCC-ee Physics Programme



# FCC-ee Physics Programme

2

## Higgs

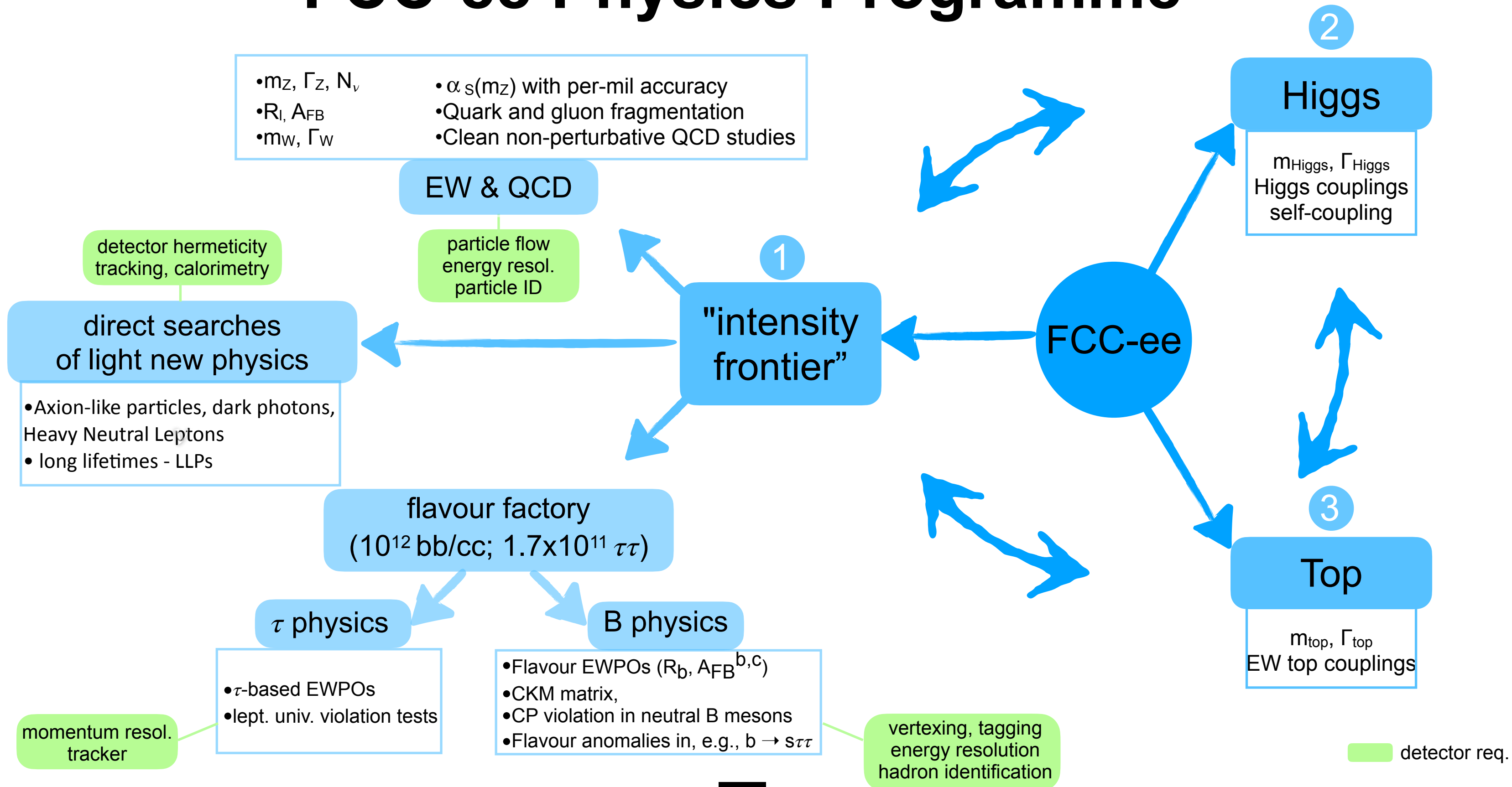
$m_{\text{Higgs}}, \Gamma_{\text{Higgs}}$   
Higgs couplings  
self-coupling

Higgs sector definition imposes initial requirements on **hadronic resolution, tracking and vertexing**

Physics Process	Measured Quantity	Critical Detector	Required Performance
$ZH \rightarrow \ell^+ \ell^- X$	Higgs mass, cross section	Tracker	$\Delta(1/p_T) \sim 2 \times 10^{-5}$
$H \rightarrow \mu^+ \mu^-$	$\text{BR}(H \rightarrow \mu^+ \mu^-)$		$\oplus 1 \times 10^{-3} / (p_T \sin \theta)$
$H \rightarrow b\bar{b}, c\bar{c}, gg$	$\text{BR}(H \rightarrow b\bar{b}, c\bar{c}, gg)$	Vertex	$\sigma_{r\phi} \sim 5 \oplus 10 / (p \sin^{3/2} \theta) \mu\text{m}$
$H \rightarrow q\bar{q}, VV$	$\text{BR}(H \rightarrow q\bar{q}, VV)$	ECAL, HCAL	$\sigma_E^{\text{jet}} / E \sim 3 - 4\%$
$H \rightarrow \gamma\gamma$	$\text{BR}(H \rightarrow \gamma\gamma)$	ECAL	$\sigma_E \sim 16\% / \sqrt{E} \oplus 1\% (\text{GeV})$

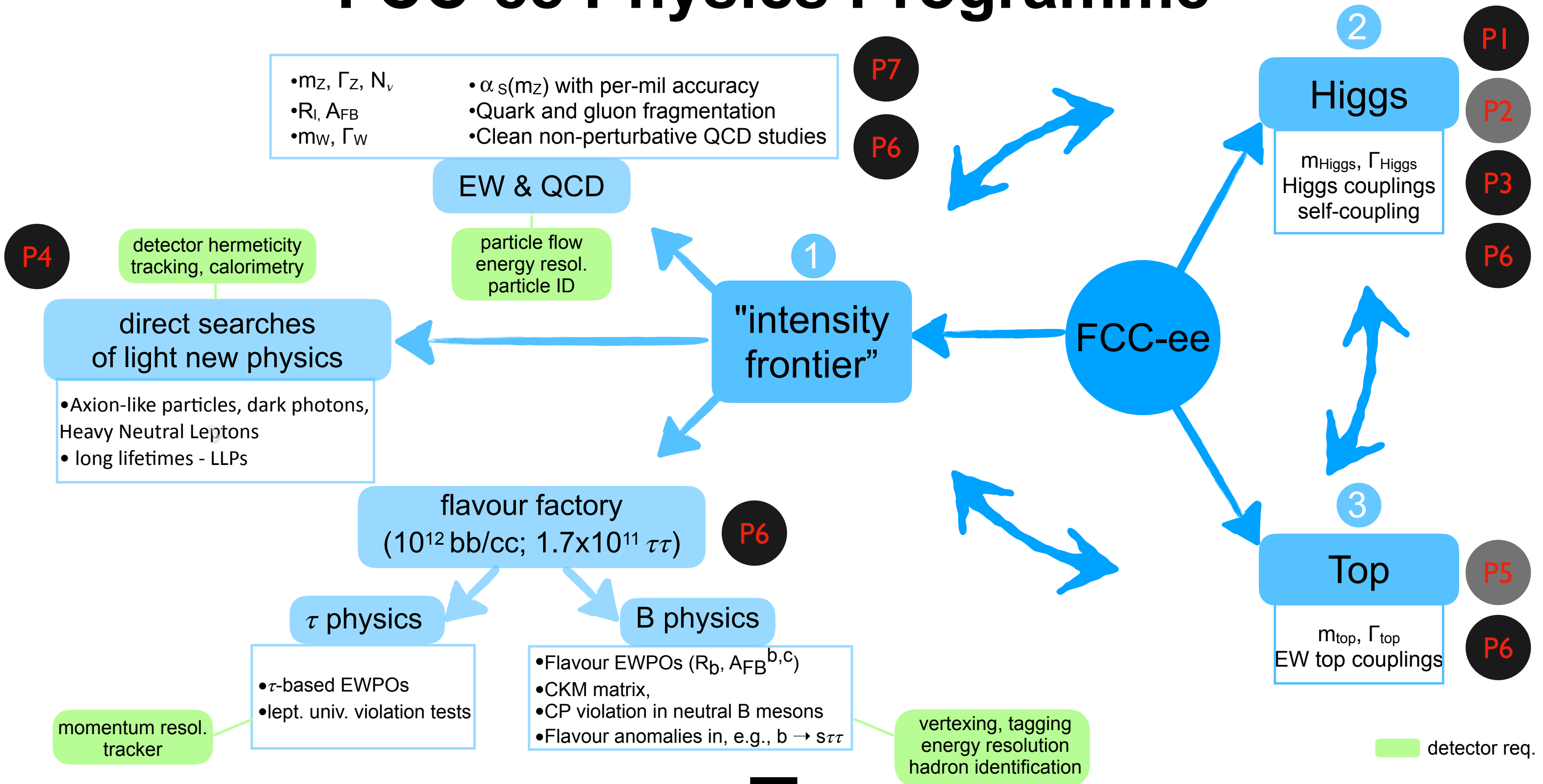
 detector req.

# FCC-ee Physics Programme





# FCC-ee Physics Programme



# Snowmass 2021 Higgs Factory Considerations

J. Bagger+ arXiv:2203.06164

## — Physics Considerations —

P1	P2	P3	P4	P5	P6	P7
Precision Higgs measurements to SM particles	Measurements of Higgs self-coupling(s)	Sensitivity to rare and exotic Higgs decays	New Physics discovery potential	Direct measure of EW/Yukawa top coupling	Indirect sensitivity to New Physics	Improved measurements of $\alpha_s$

## — Technological Considerations —

T1	T2	T3	T4	T5	T6	T7
Range of operating E/ease of changing E	Annual integrated luminosity	Upgradability to higher energy/luminosity	Extent and cost of remaining R&D	Ability to operate at the tt threshold	Ability to run at the Z pole	Ability to run at the WW threshold
T8	T9	T10	T11	T12-T13	T14-T15	T16
Stability and calibration of collision energy	Beam stability and luminosity calibration	Ability to control beam-related backgrounds	Ability to provide independent confirmation of new discoveries	Ability to provide polarised electrons/positrons	Possibility to reconfigure as $\gamma\gamma$ , $e\gamma$ , $e^-e^-$ , ep, pp collider	Opportunities for beam dumps experiments

**T17**

Need for, and scientific utility of, technology demonstrators

# Z-Factories are great Flavour Factories

Working point	Lumi. / IP [ $10^{34} \text{ cm}^{-2} \cdot \text{s}^{-1}$ ]	Total lumi. (2 IPs)	Run time	Physics goal
Z first phase	100	26 $\text{ab}^{-1}$ /year	2	
Z second phase	200	52 $\text{ab}^{-1}$ /year	2	150 $\text{ab}^{-1}$

Particle production ( $10^9$ )	$B^0 / \bar{B}^0$	$B^+ / B^-$	$B_s^0 / \bar{B}_s^0$	$\Lambda_b / \bar{\Lambda}_b$	$c\bar{c}$	$\tau^- / \tau^+$
Belle II	27.5	27.5	n/a	n/a	65	45
FCC- $ee$	300	300	80	80	600	150

Decay mode/Experiment	Belle II (50/ab)	LHCb Run I	LHCb Upgr. (50/fb)	FCC- $ee$
EW/H penguins				
$B^0 \rightarrow K^*(892)e^+e^-$	$\sim 2000$	$\sim 150$	$\sim 5000$	$\sim 200000$
$\mathcal{B}(B^0 \rightarrow K^*(892)\tau^+\tau^-)$	$\sim 10$	–	–	$\sim 1000$
$B_s \rightarrow \mu^+\mu^-$	n/a	$\sim 15$	$\sim 500$	$\sim 800$
$B^0 \rightarrow \mu^+\mu^-$	$\sim 5$	–	$\sim 50$	$\sim 100$
$\mathcal{B}(B_s \rightarrow \tau^+\tau^-)$				
Leptonic decays				
$B^+ \rightarrow \mu^+\nu_{mu}$	5%	–	–	3%
$B^+ \rightarrow \tau^+\nu_{tau}$	7%	–	–	2%
$B_c^+ \rightarrow \tau^+\nu_{tau}$	n/a	–	–	5%
CP / hadronic decays				
$B^0 \rightarrow J/\Psi K_S (\sigma_{\sin(2\phi_d)})$	$\sim 2 \cdot 10^6$ (0.008)	41500 (0.04)	$\sim 0.8 \cdot 10^6$ (0.01)	$\sim 35 \cdot 10^6$ (0.006)
$B_s \rightarrow D_s^\pm K^\mp$	n/a	6000	$\sim 200000$	$\sim 30 \cdot 10^6$
$B_s(B^0) \rightarrow J/\Psi\phi (\sigma_{\phi_s} \text{ rad})$	n/a	96000 (0.049)	$\sim 2 \cdot 10^6$ (0.008)	$16 \cdot 10^6$ (0.003)

out of reach at LHCb/Belle

boosted b's/ $\tau$ 's at FCC- $ee$

Makes possible a topological rec. of the decays w/ miss. energy

See S. Monteil, Flavour@FCC'22

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150

## Flavour @ FCC vs Belle/pp

Attribute	$\Upsilon(4S)$	pp	$Z^0$
All hadron species		✓	✓
High boost		✓	✓
Enormous production cross-section		✓	
Negligible trigger losses	✓		✓
Low backgrounds	✓		✓
Initial energy constraint	✓		(✓)

See S. Monteil, Flavour@FCC'22

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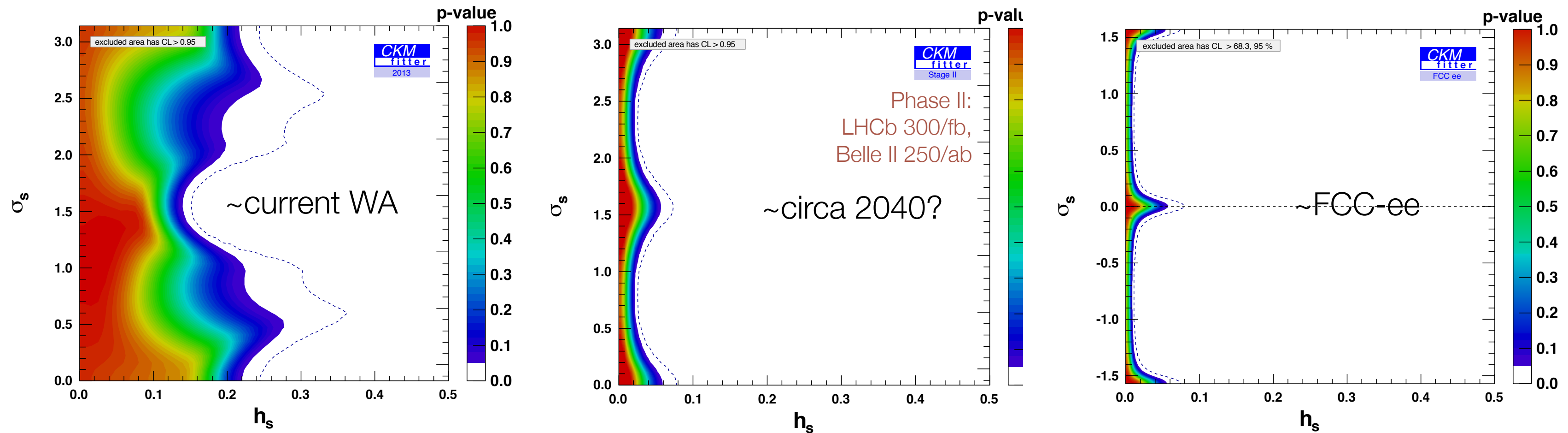
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# Z-Factories are great Flavour Factories

Kamenik @ FCC Physics WS '22

$$\langle B_q | \mathcal{H}_{\Delta B=2}^{\text{SM+NP}} | \bar{B}_q \rangle = \langle B_q | \mathcal{H}_{\Delta B=2}^{\text{SM}} | \bar{B}_q \rangle (1 + h_q e^{i\sigma_q})$$



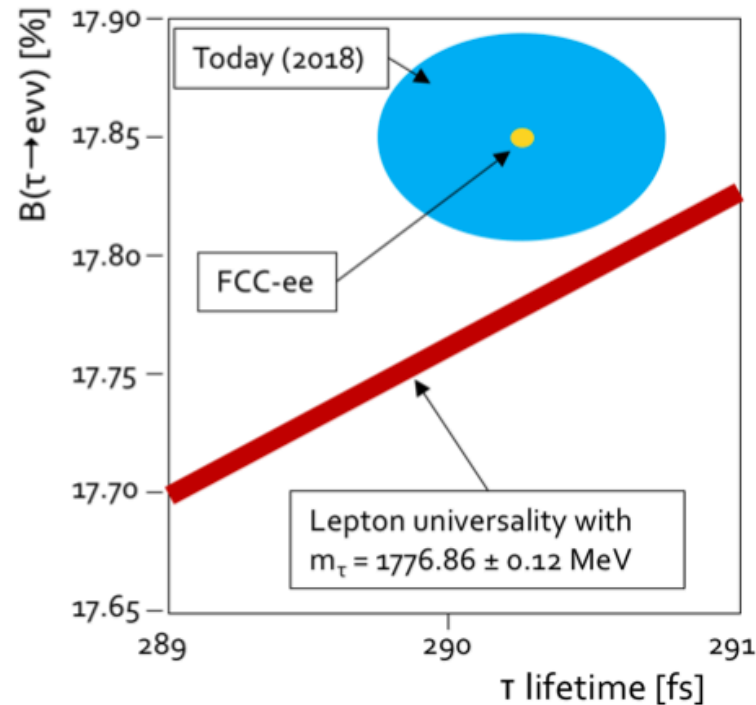
FCC-ee: sensitivity of scale of new physics (with MVF structure)  $> 20$  TeV

# Probing New Physics w/ $\tau$ Decays

“10 more tau’s than at Belle II”

Allwicher, Isidori, Semilovic '21

$$\left| \frac{g_e^{(\tau)}}{g_e^{(\mu)}} \right|^2 \equiv \frac{\Gamma(\tau \rightarrow e\nu\bar{\nu})}{\Gamma(\mu \rightarrow e\nu\bar{\nu})} \left[ \frac{\Gamma_{\text{SM}}(\tau \rightarrow e\nu\bar{\nu})}{\Gamma_{\text{SM}}(\mu \rightarrow e\nu\bar{\nu})} \right]^{-1}$$

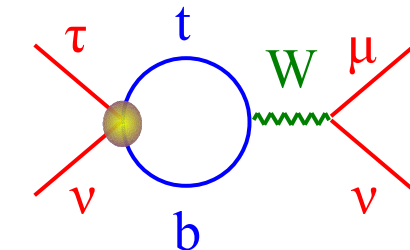
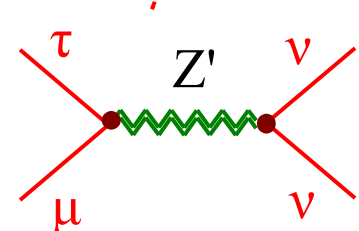


sensitivity good enough to probe BSM models “explaining” current flavour  $R_K$  anomalies ( $b \rightarrow c\tau\nu$ )

E.g.: (I) LFU tests in tau decays aka measurement of GF with taus

A. Pich '13

	$\Gamma_{\tau \rightarrow \mu} / \Gamma_{\tau \rightarrow e}$	$\Gamma_{\pi \rightarrow \mu} / \Gamma_{\pi \rightarrow e}$	$\Gamma_{K \rightarrow \mu} / \Gamma_{K \rightarrow e}$	$\Gamma_{K \rightarrow \pi\mu} / \Gamma_{K \rightarrow \pi e}$	$\Gamma_{W \rightarrow \mu} / \Gamma_{W \rightarrow e}$
$ g_\mu / g_e $	1.0018 (14)	1.0021 (16)	0.9978 (20)	1.0010 (25)	0.996 (10)
	$\Gamma_{\tau \rightarrow e} / \Gamma_{\mu \rightarrow e}$	$\Gamma_{\tau \rightarrow \pi} / \Gamma_{\pi \rightarrow \mu}$	$\Gamma_{\tau \rightarrow K} / \Gamma_{K \rightarrow \mu}$	$\Gamma_{W \rightarrow \tau} / \Gamma_{W \rightarrow \mu}$	
$ g_\tau / g_\mu $	1.0011 (15)	0.9962 (27)	0.9858 (70)	1.034 (13)	
	$\Gamma_{\tau \rightarrow \mu} / \Gamma_{\mu \rightarrow e}$	$\Gamma_{W \rightarrow \tau} / \Gamma_{W \rightarrow e}$			
$ g_\tau / g_e $	1.0030 (15)	1.031 (13)			



“Model-independent” effect linked to present anomalies

- NP expectation from current anomalies in the range  $(0.2 - 4.0) \times 10^{-3}$
- SM theory precision  $\sim 10^{-5}$
- Belle-II can (at most) reach an error  $\sim 0.3 \times 10^{-3}$

FCC-ee could go below  $10^{-4}$  !

Unique opportunity !

# Tera-Z EW precision measurements

- ▶ Tera-Z allows one to have access to kinematic regions to reduce syst. uncertainties
  - ▶ Exquisite  $\sqrt{s}$  precision (100keV@Z, 300keV@WW) reduces beam uncertainties
- ➔ 100 times better precision than LEP/LSD on EW precision observables

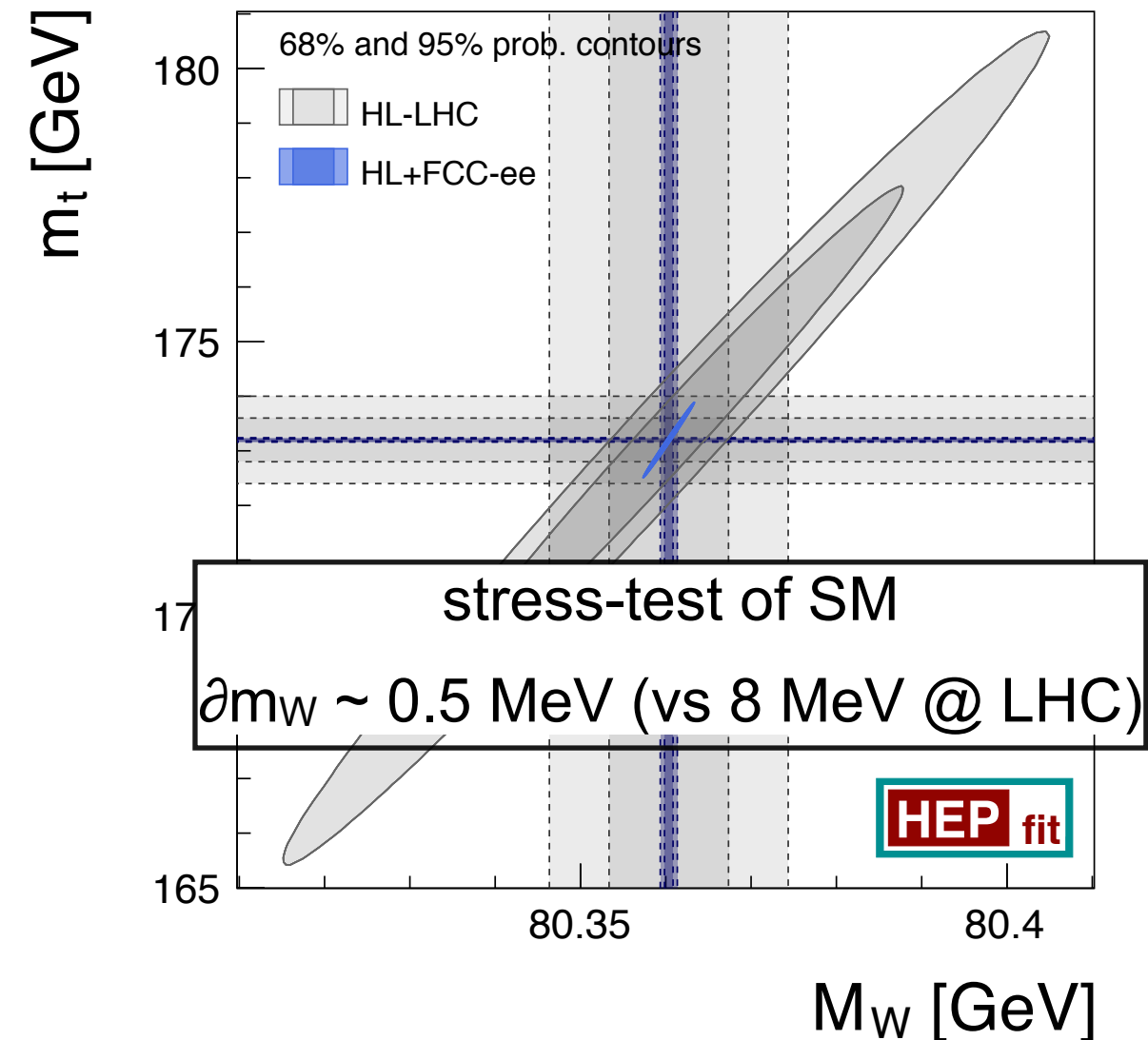
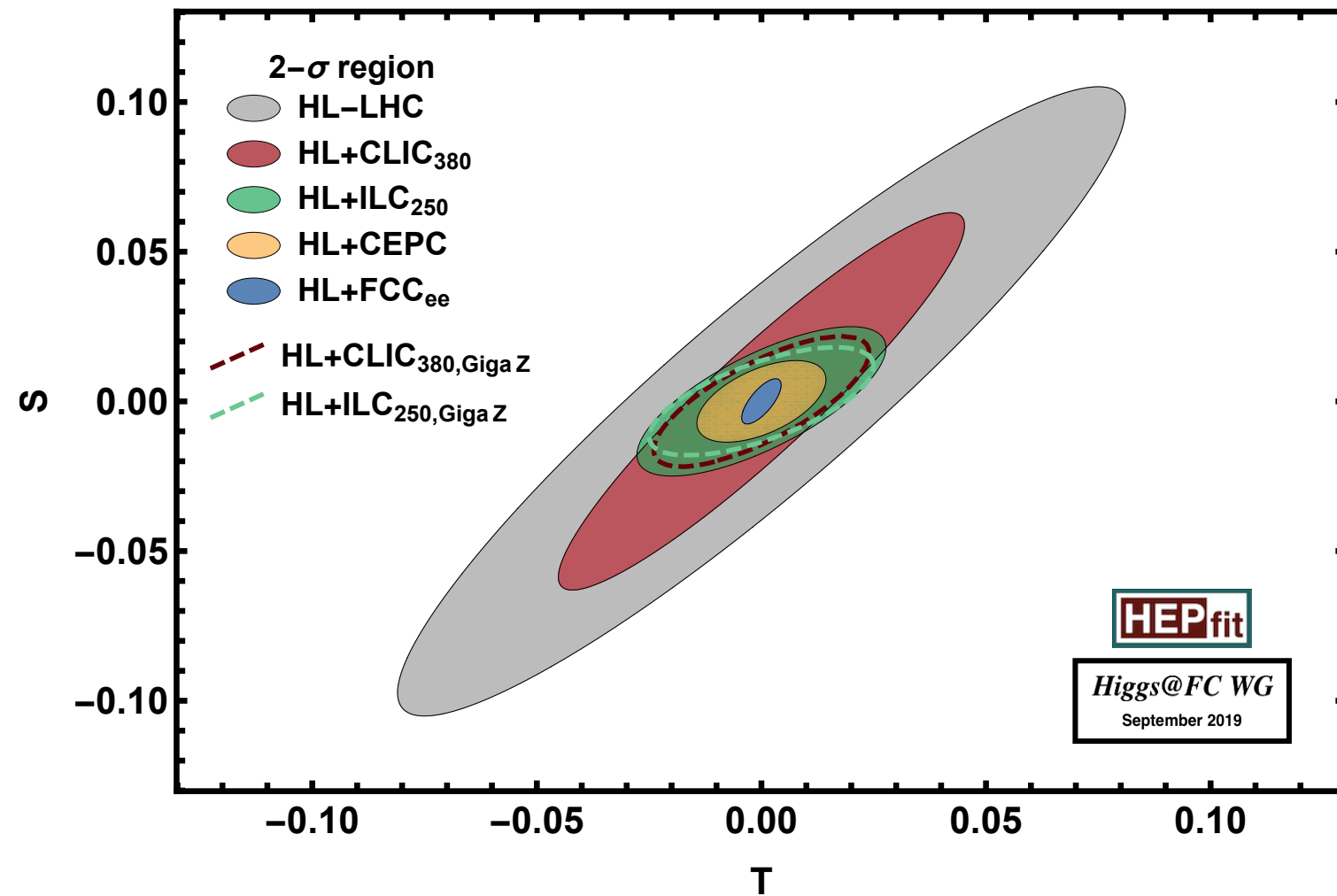
Need TH results to fully exploit Tera-Z

	experimental accuracy			intrinsic theory uncertainty		
	current	ILC	FCC-ee	current	current source	prospect
$\Delta M_Z [\text{MeV}]$	2.1	—	0.1			
$\Delta \Gamma_Z [\text{MeV}]$	2.3	1	0.025	0.4	$\alpha^3, \alpha^2 \alpha_s, \alpha \alpha_s^2$	0.15
$\Delta \sin^2 \theta_{\text{eff}}^\ell [10^{-5}]$	23	1.3	0.6	4.5	$\alpha^3, \alpha^2 \alpha_s$	1.5
$\Delta R_b [10^{-5}]$	66	14	6	11	$\alpha^3, \alpha^2 \alpha_s$	5
$\Delta R_\ell [10^{-3}]$	25	3	1	6	$\alpha^3, \alpha^2 \alpha_s$	1.5

For the impact of the theory uncertainties on the EW fit, see backup slides

# Improvements of EW measurements

Exquisite measurements of  $m_Z$  (100 keV),  $\Gamma_Z$  (25 keV),  $m_W$  (<500 keV),  $\alpha_{\text{QED}}(m_Z)$  ( $3 \cdot 10^{-5}$ ) (all unique to FCC-ee)  
w/. stat.+ param. + th-exp syst.



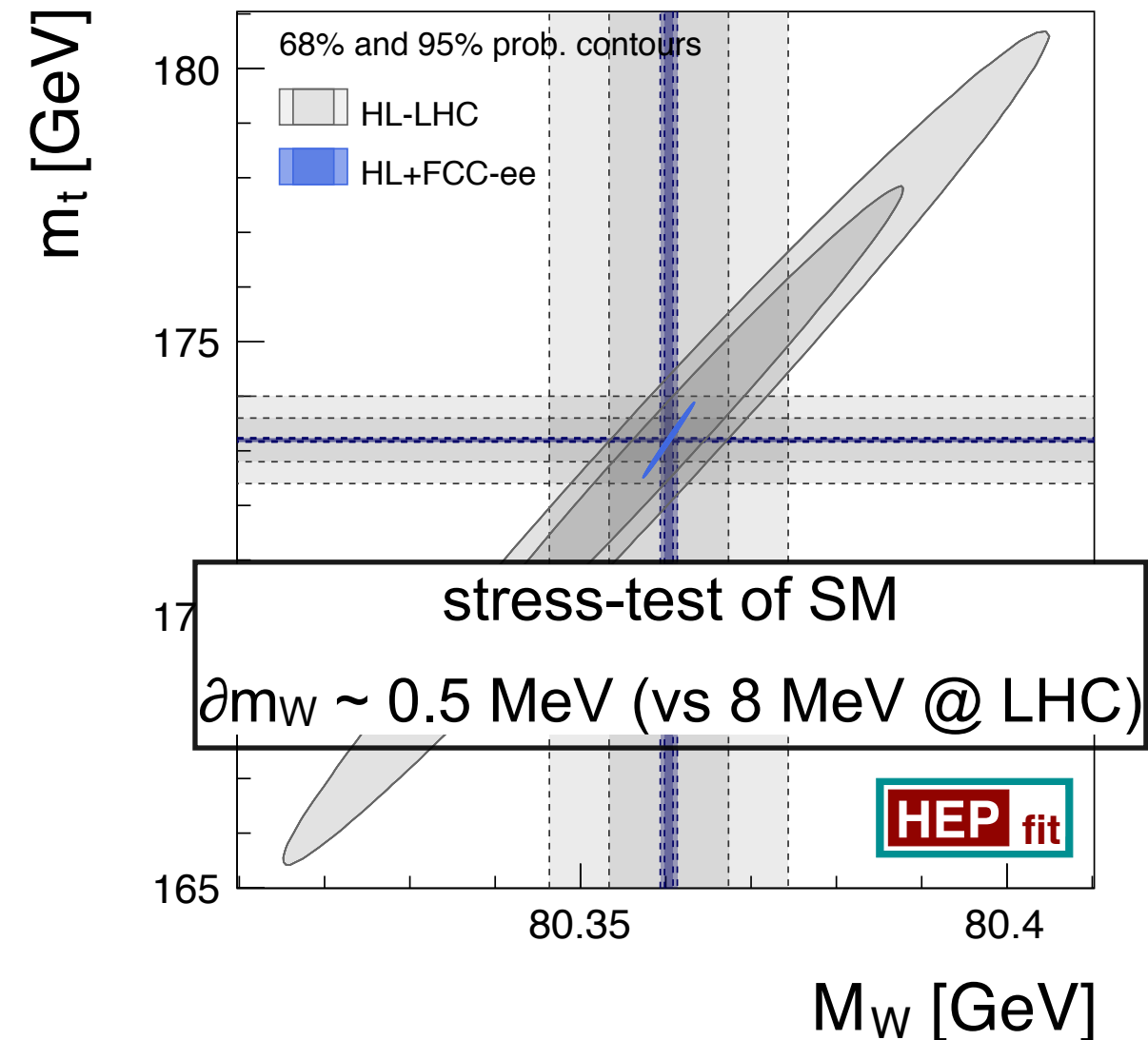
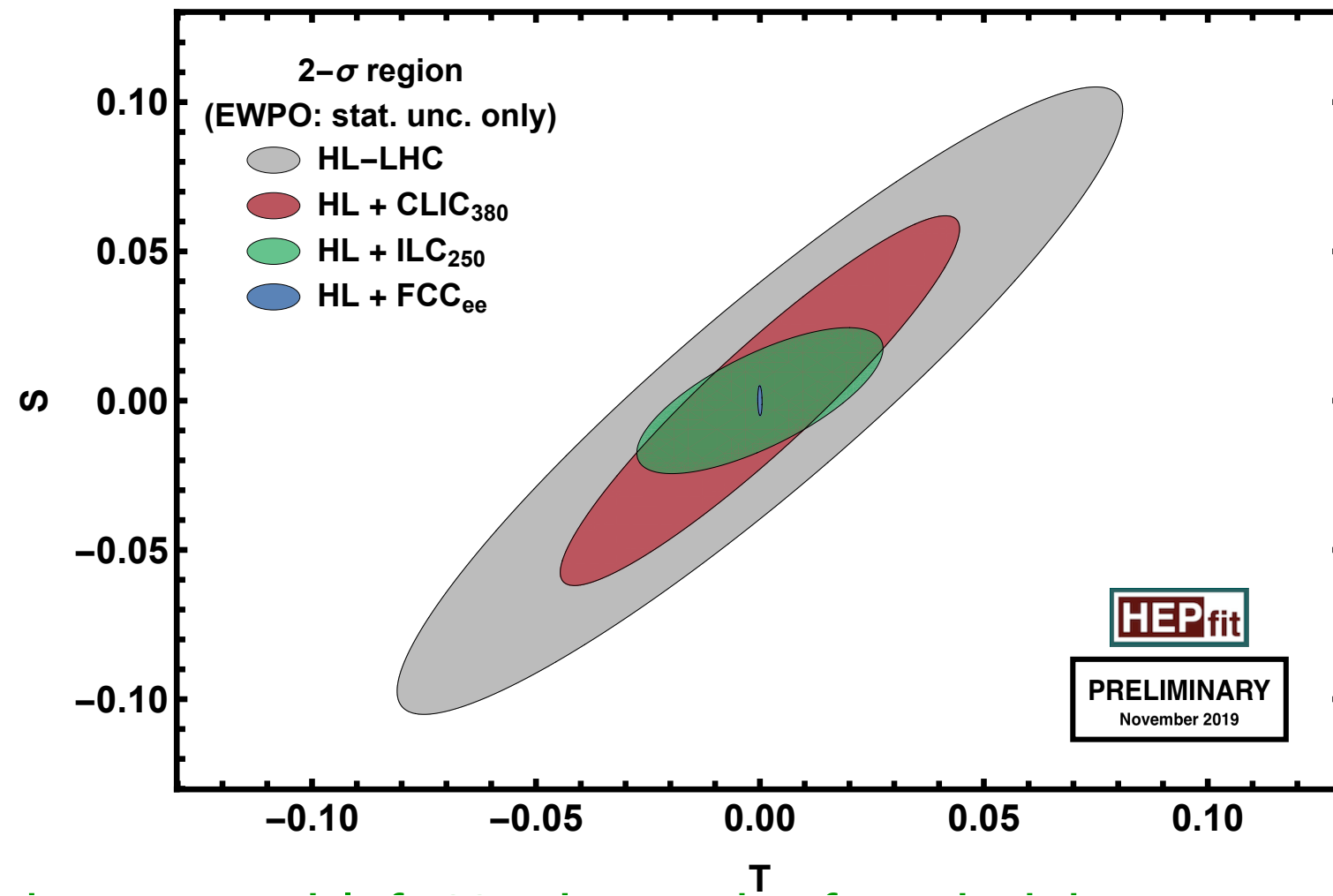
The importance of improved EW measurements is threefold:

- 1) improve mass reach in indirect search for NP ( $S \sim 10^{-2} \rightarrow M \sim 70 \text{ TeV}$ )
- 2) reduced parametric uncertainties for other measurements
- 3) reduced degeneracies in a global fit for Higgs couplings



# Improvements of EW measurements

Exquisite measurements of  $m_Z$  (100 keV),  $\Gamma_Z$  (25 keV),  $m_W$  (<500 keV),  $\alpha_{\text{QED}}(m_Z)$  ( $3 \cdot 10^{-5}$ ) (all unique to FCC-ee)  
w/ stat. and param. only



The importance of improved EW measurements is threefold:

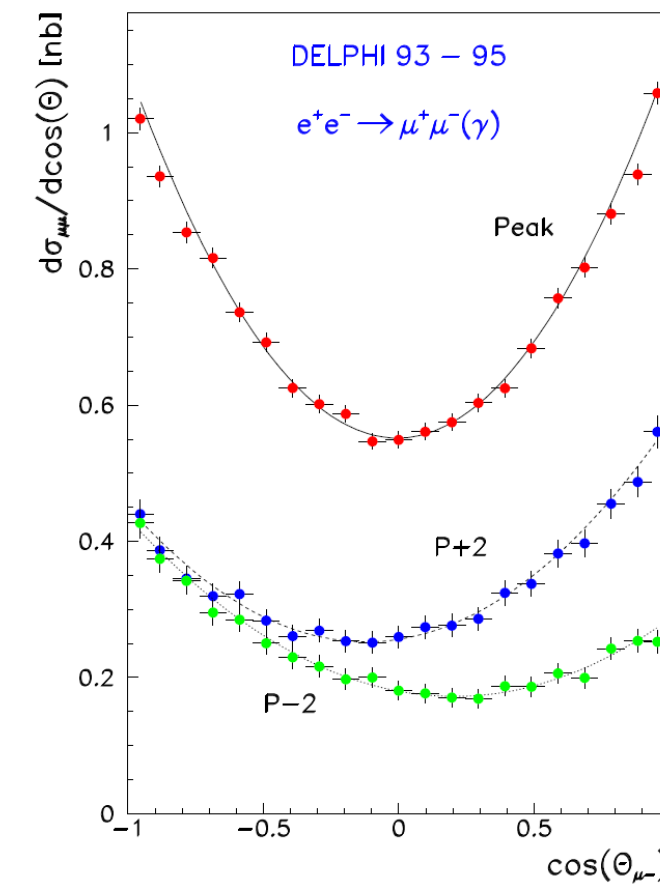
- 1) improve mass reach in indirect search for NP ( $S \sim 10^{-2} \rightarrow M \sim 70 \text{ TeV}$ )
- 2) reduced parametric uncertainties for other measurements
- 3) reduced degeneracies in a global fit for Higgs couplings

# Example of EW measurements @ Tera Z

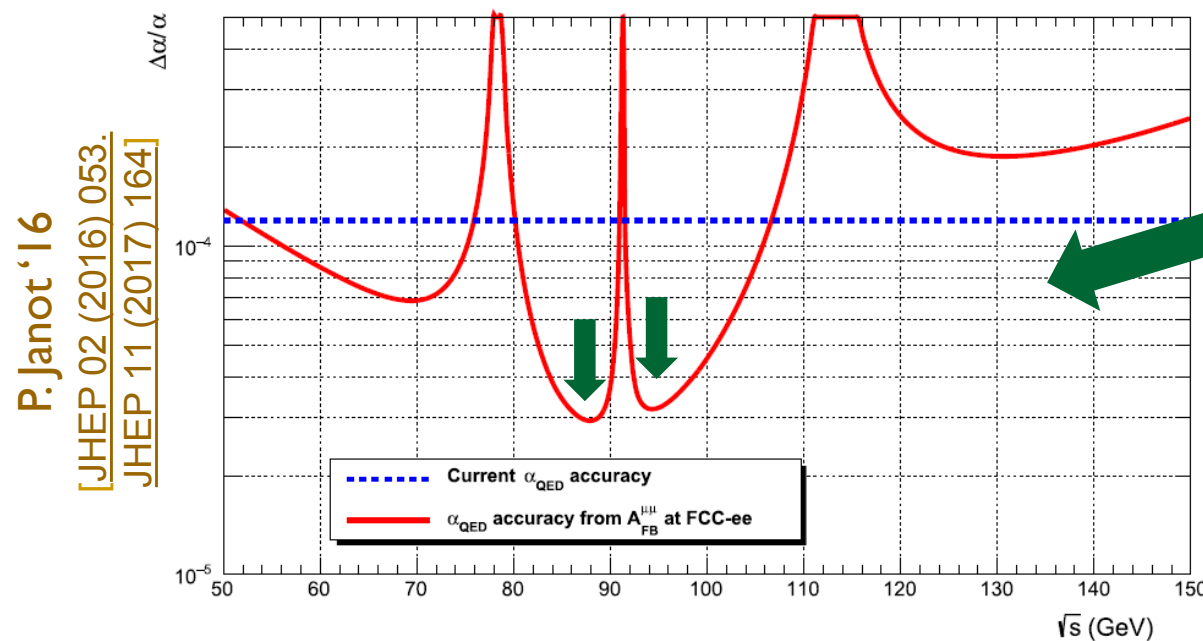
Excellent experimental control of off-peak di-muon asymmetry motivates campaign to collect 50-80 ab<sup>-1</sup> off peak to gain highest sensitivity to Z-γ interference

$$A_{\text{FB}}^{\mu\mu}(s) \simeq \frac{3}{4} \mathcal{A}_e \mathcal{A}_\mu \times \left[ 1 + \frac{8\pi \sqrt{2} \alpha_{\text{QED}}(s)}{m_Z^2 G_F (1 - 4 \sin^2 \theta_W^{\text{eff}})^2} \frac{s - m_Z^2}{2s} \right]$$

Allows for clean determination of  $\alpha_{\text{QED}}(m_Z^2)$ , which is a *critical* input for  $m_W$  closure tests (see later).



relative  $\alpha_{\text{QED}}$  uncertainty with 80 ab<sup>-1</sup>



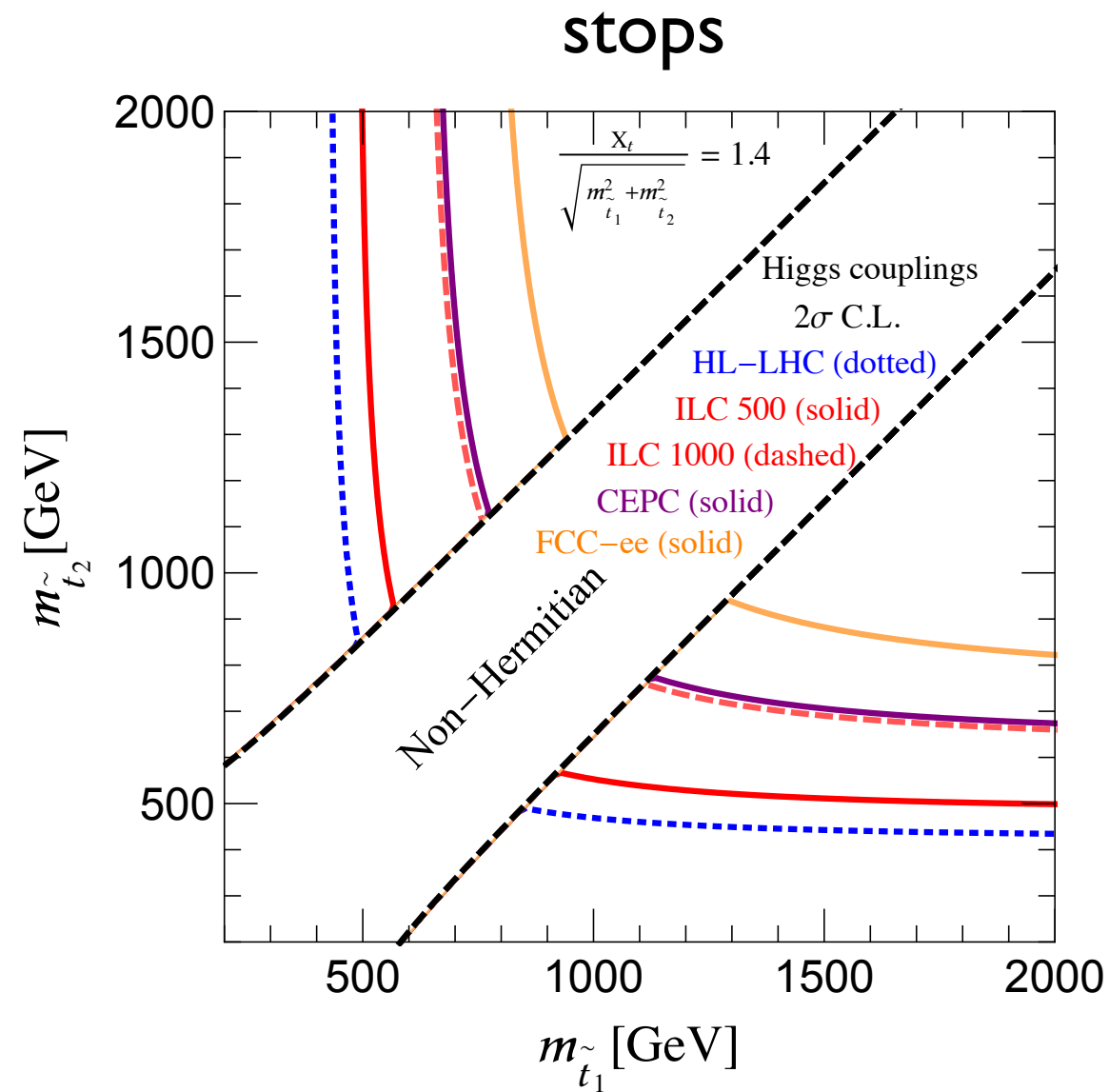
This dependence, & location of half-integer spin tunes, guides the choice of off-peak energies: 87.8 & 93.9 GeV.

Goal: measure  $1/\alpha_{\text{QED}}(m_Z^2)$  to +/- 0.003.

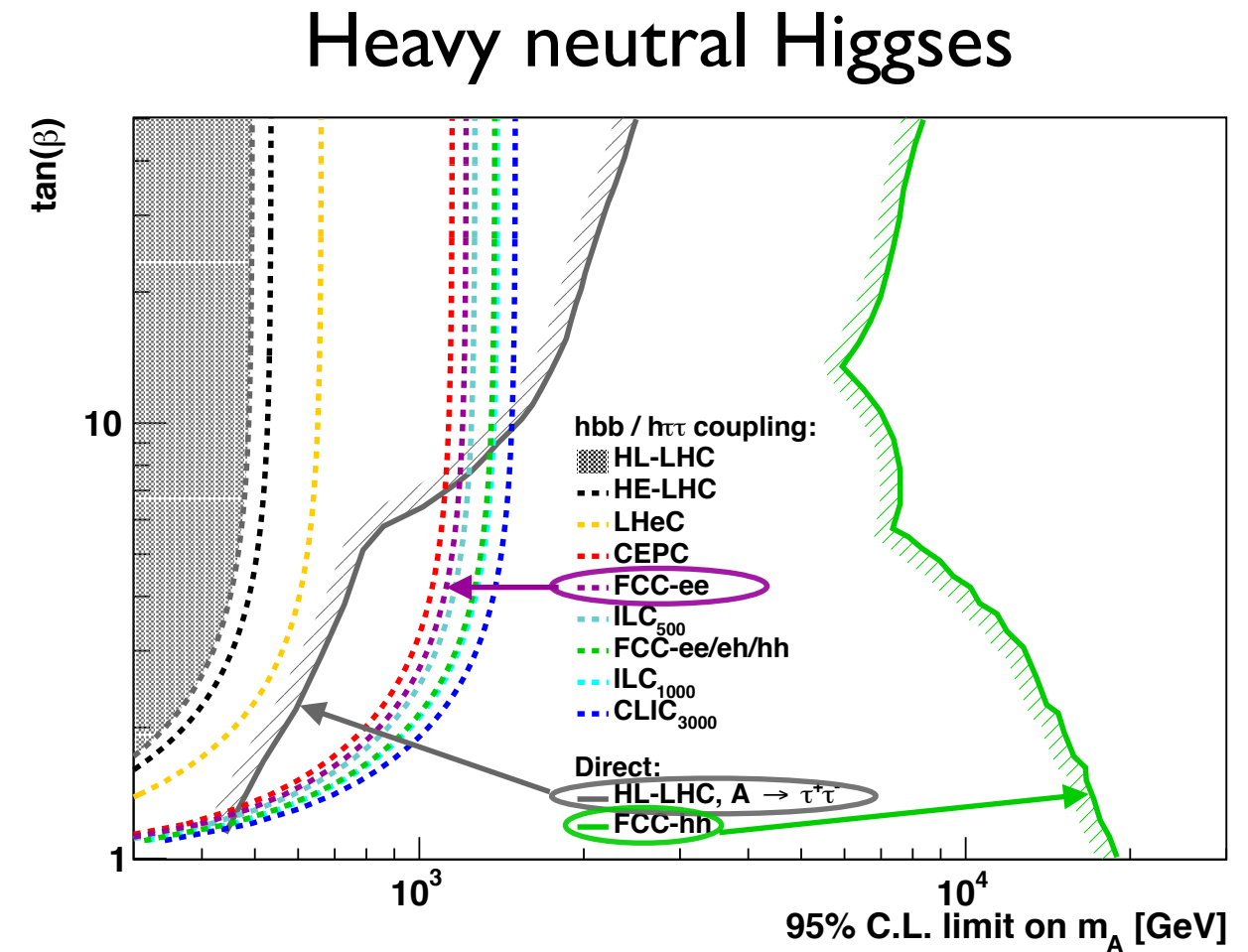
# Discovery Potential Beyond LHC

Precisely measured EW and Higgs observables are sensitive to heavy New Physics

Examples of improved sensitivity wrt direct reach @ HL-LHC: SUSY



Fan, Reece, Wang '14



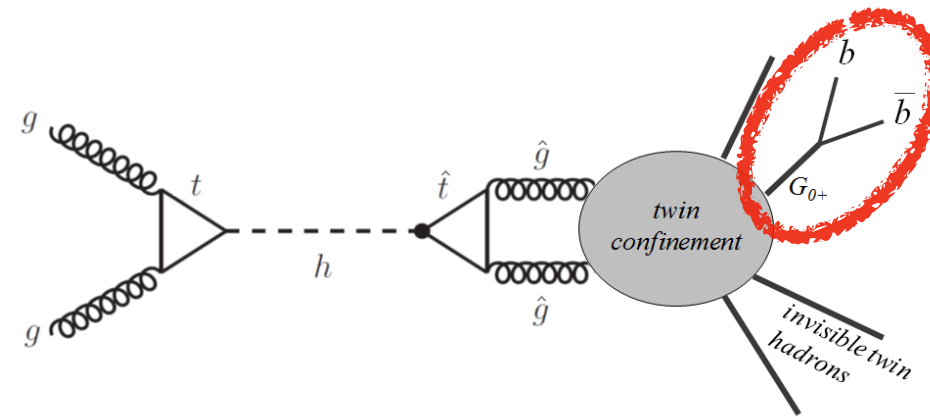
ESU Physics BB '19

# Direct Searches for Light New Physics

- **LLP searches with displaced vertices**

e.g. in twin Higgs models glueballs that mix with the Higgs and decay back to b-quarks

Craig et al, arXiv:1501.05310



- **Rare decays**

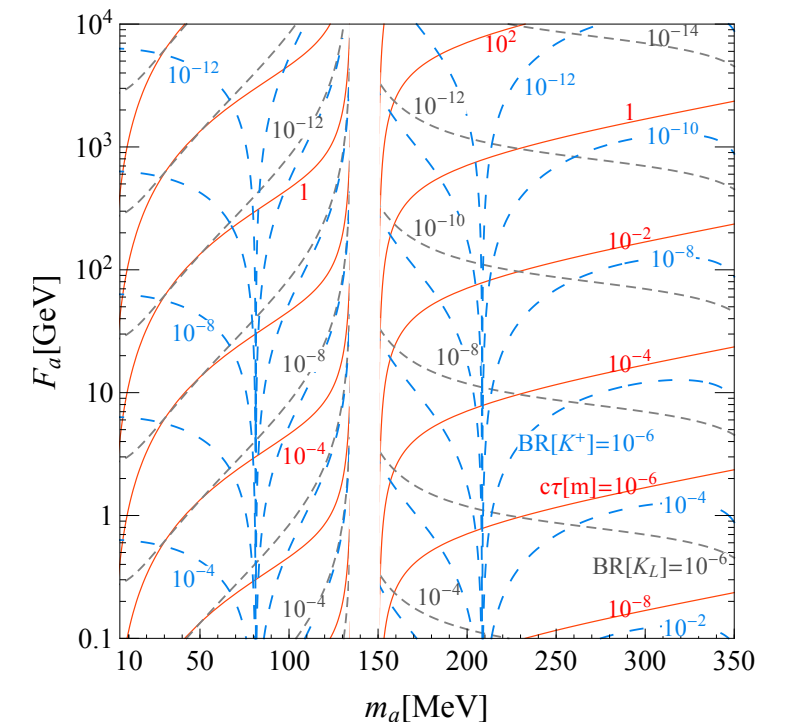
Gori et al arXiv:2005.05170

e.g. ALP mixing w/ SM mesons:

$$K_L \rightarrow \pi^0 a \rightarrow \pi^0 \gamma \gamma \text{ (KOTO)}$$

$$K^+ \rightarrow \pi^+ a \rightarrow \pi^+ \gamma \gamma \text{ (NA62)}$$

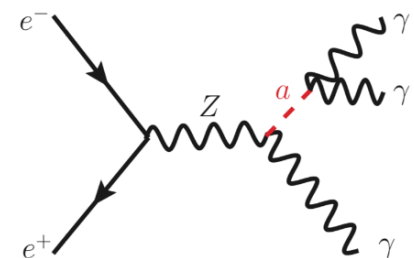
$$\mathcal{L} = \frac{\alpha_s}{8\pi F_a} a G_{\mu\nu} \tilde{G}^{\mu\nu}$$



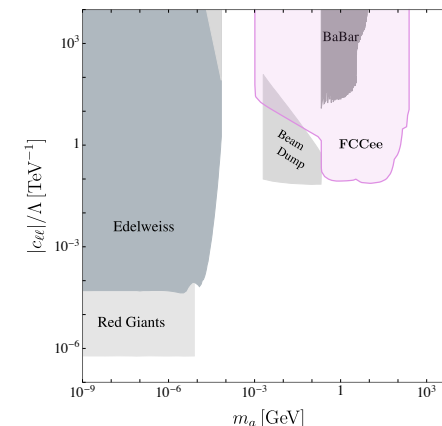
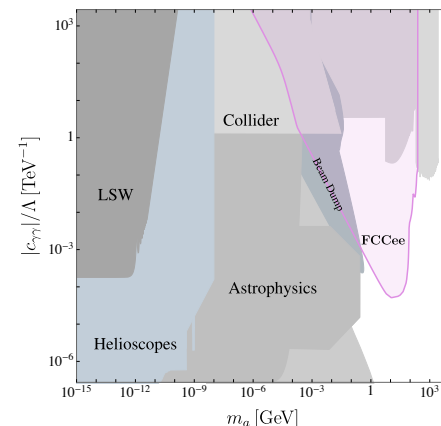
- **ALPs@ colliders**

e.g.  $e^+e^- \rightarrow \gamma a$

$e^+e^- \rightarrow ha$



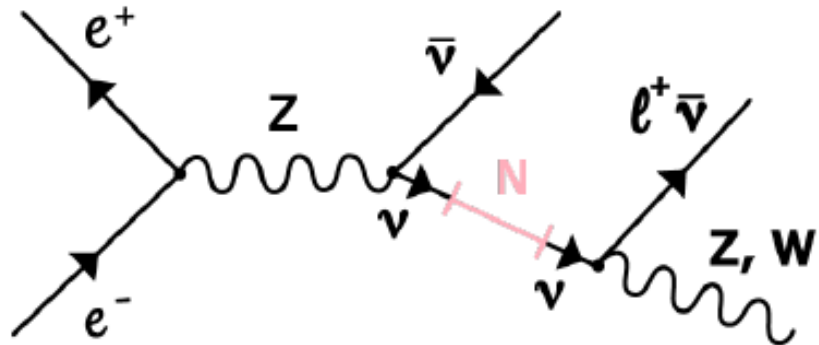
Knapen, Thamm arXiv:2108.08949



Astro/Cosmo → long-lived ALPs  
colliders → short-lived ALPs MeV+

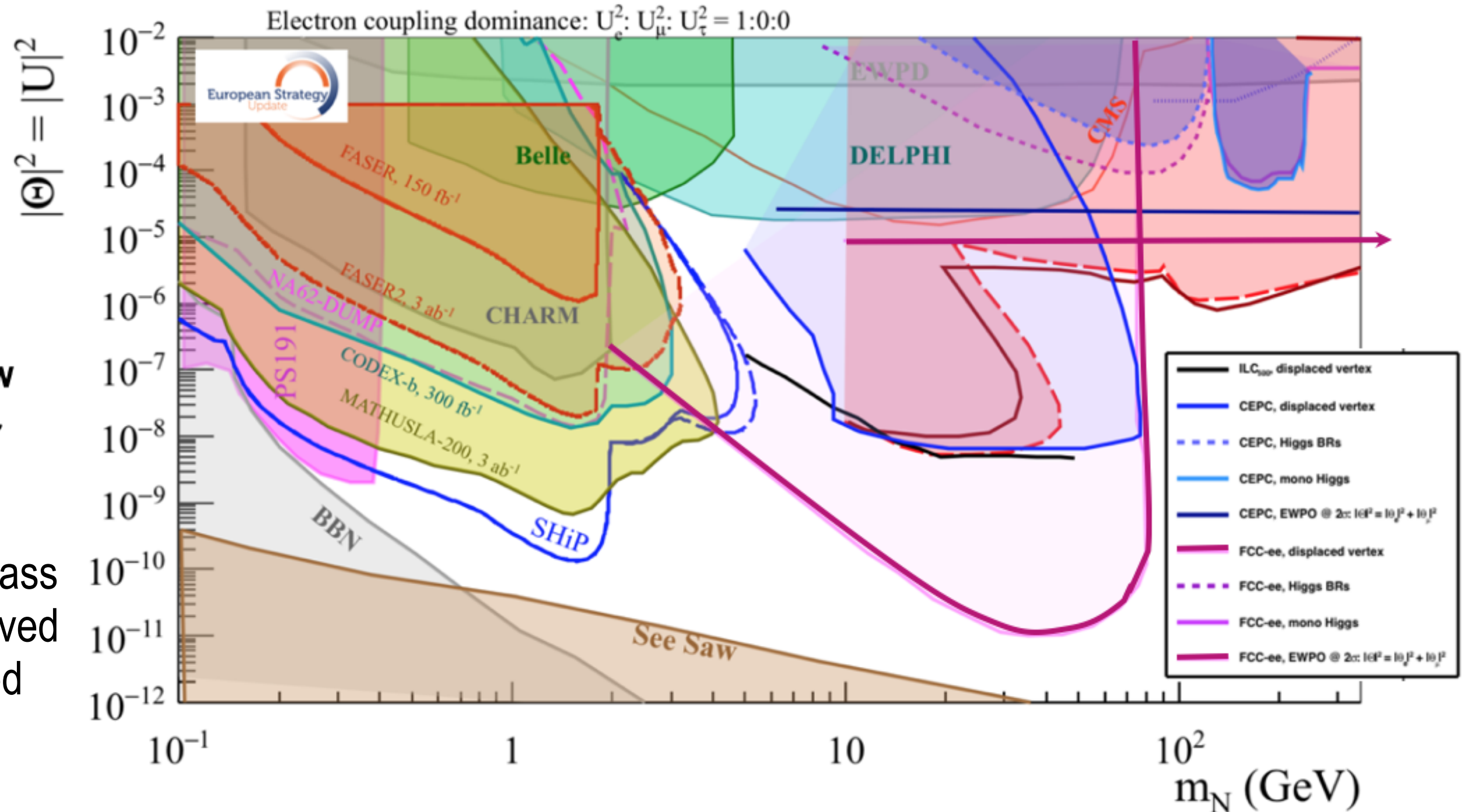
# Search for $V_{RH}$

Direct observation  
in Z decays  
from LH-RH mixing



Important to understand

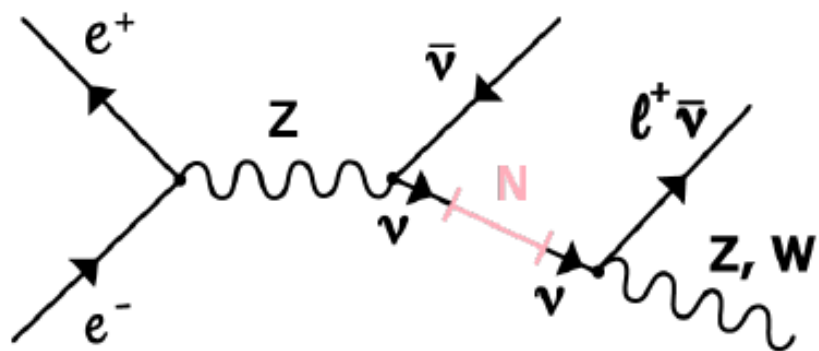
1. how neutrinos acquired mass
2. if lepton number is conserved
3. if leptogenesis is realised



ESU Physics BB '19

# Search for $V_{RH}$

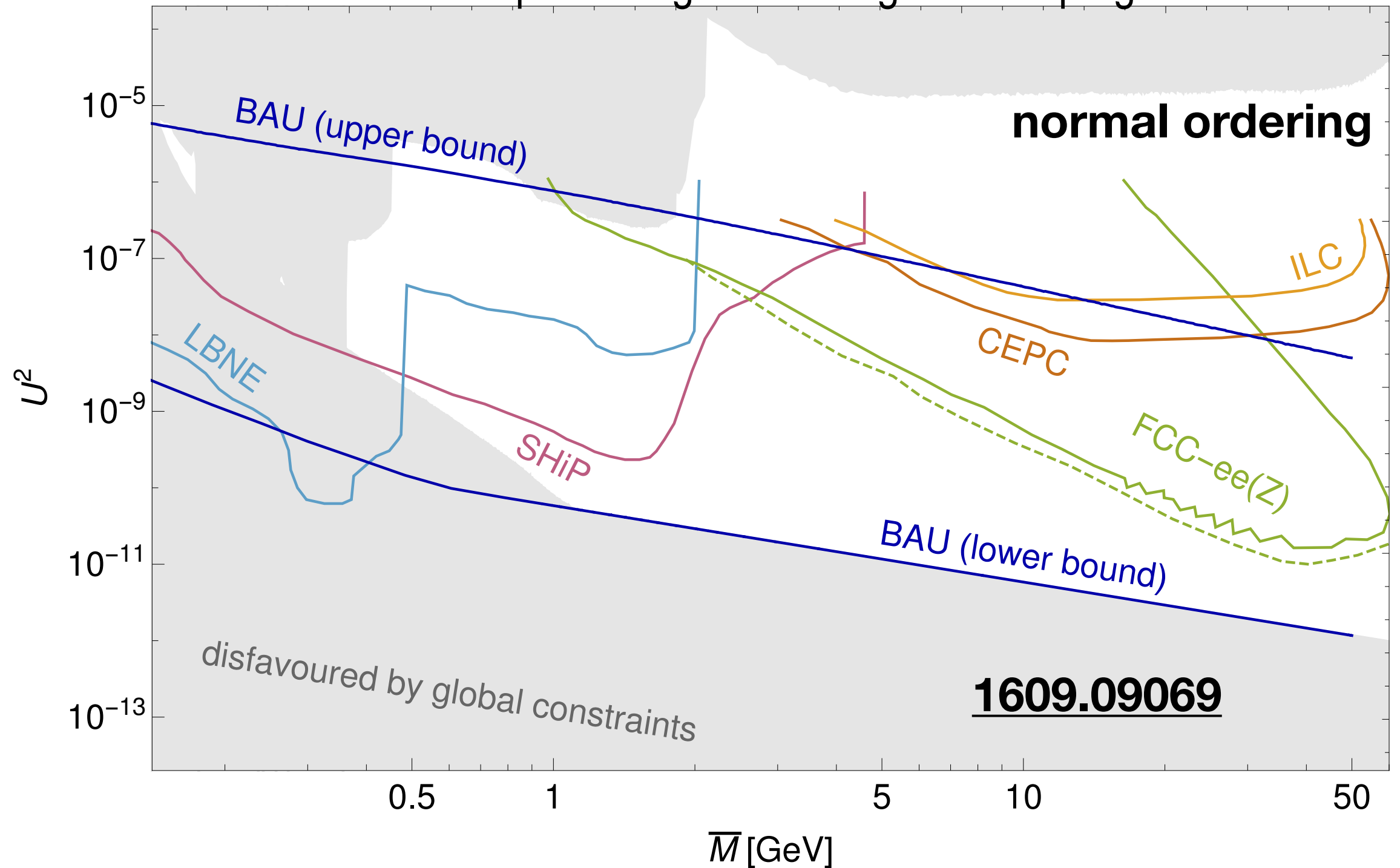
Direct observation  
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$$|\Theta|^2 = |U|^2$$

- Important to understand
1. how neutrinos acquired mass
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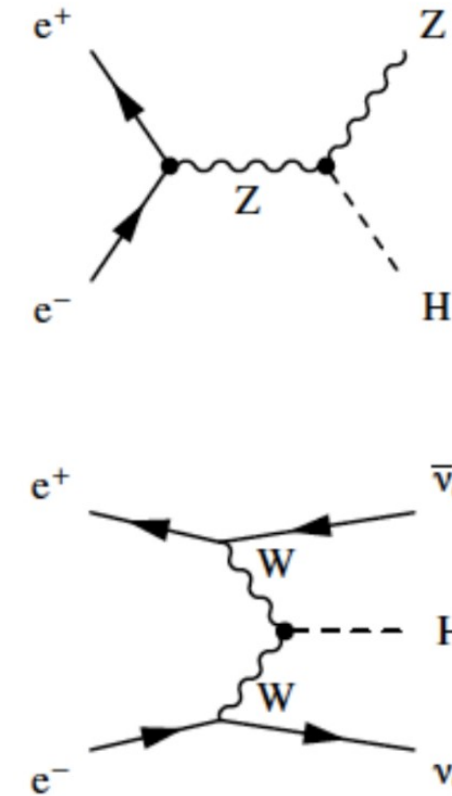
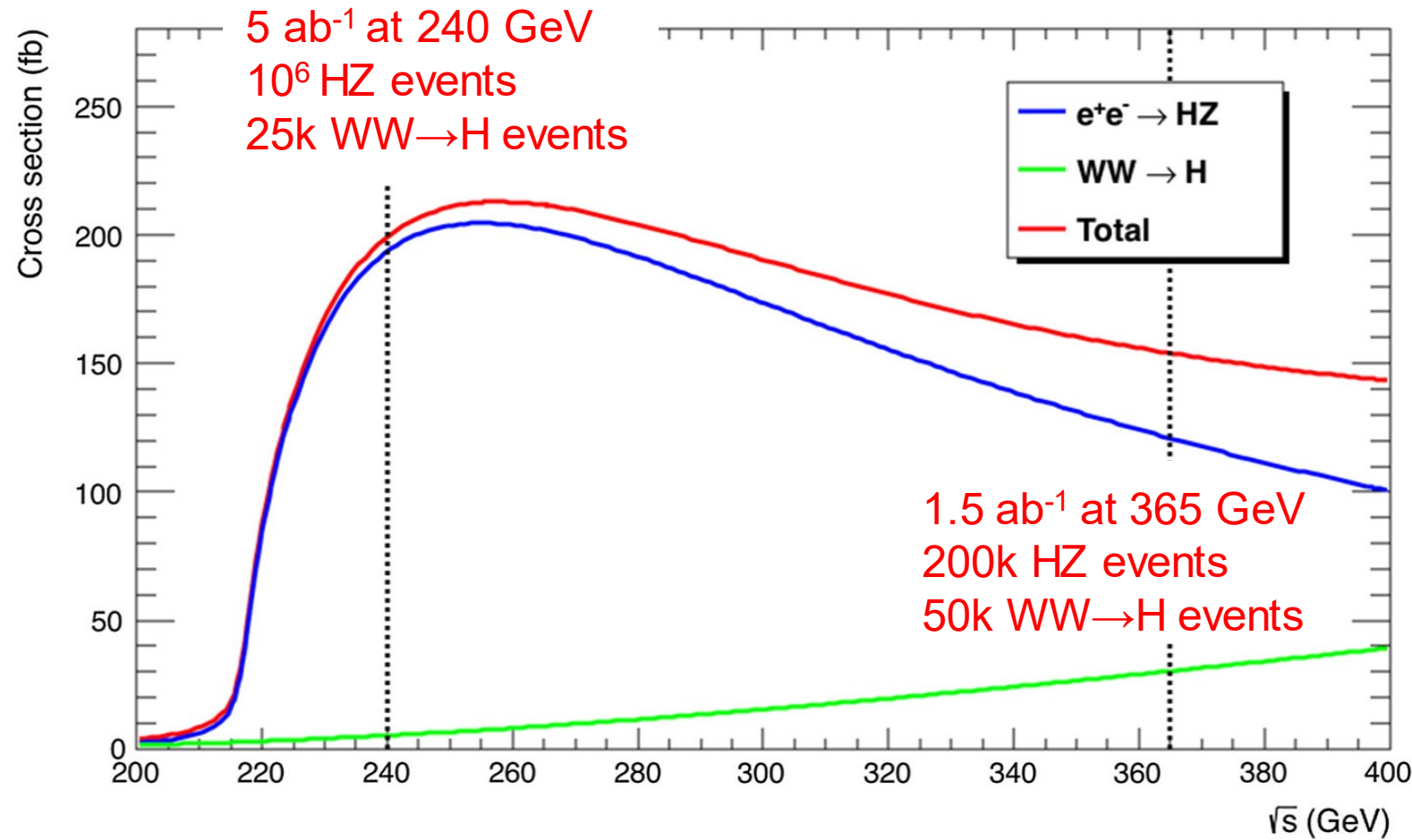
FCC-ee can probe large viable regions of leptogenesis



# Higgs @ FCC-ee

Central goal of FCC-ee: model-independent measurement of Higgs width and couplings with (<) % precision. Achieved through operation at two energy points.

G. Wilkinson, FCC Physics WS '22



Sensitivity to both processes very helpful in improving precision on couplings.

Table 8: Operation costs of low-energy Higgs factories, expressed in Euros per Higgs boson.

Collider	ILC <sub>250</sub>	CLIC <sub>380</sub>	FCC-ee <sub>240</sub>
Cost (Euros/Higgs)	7,000 to 12,000	2,000	255

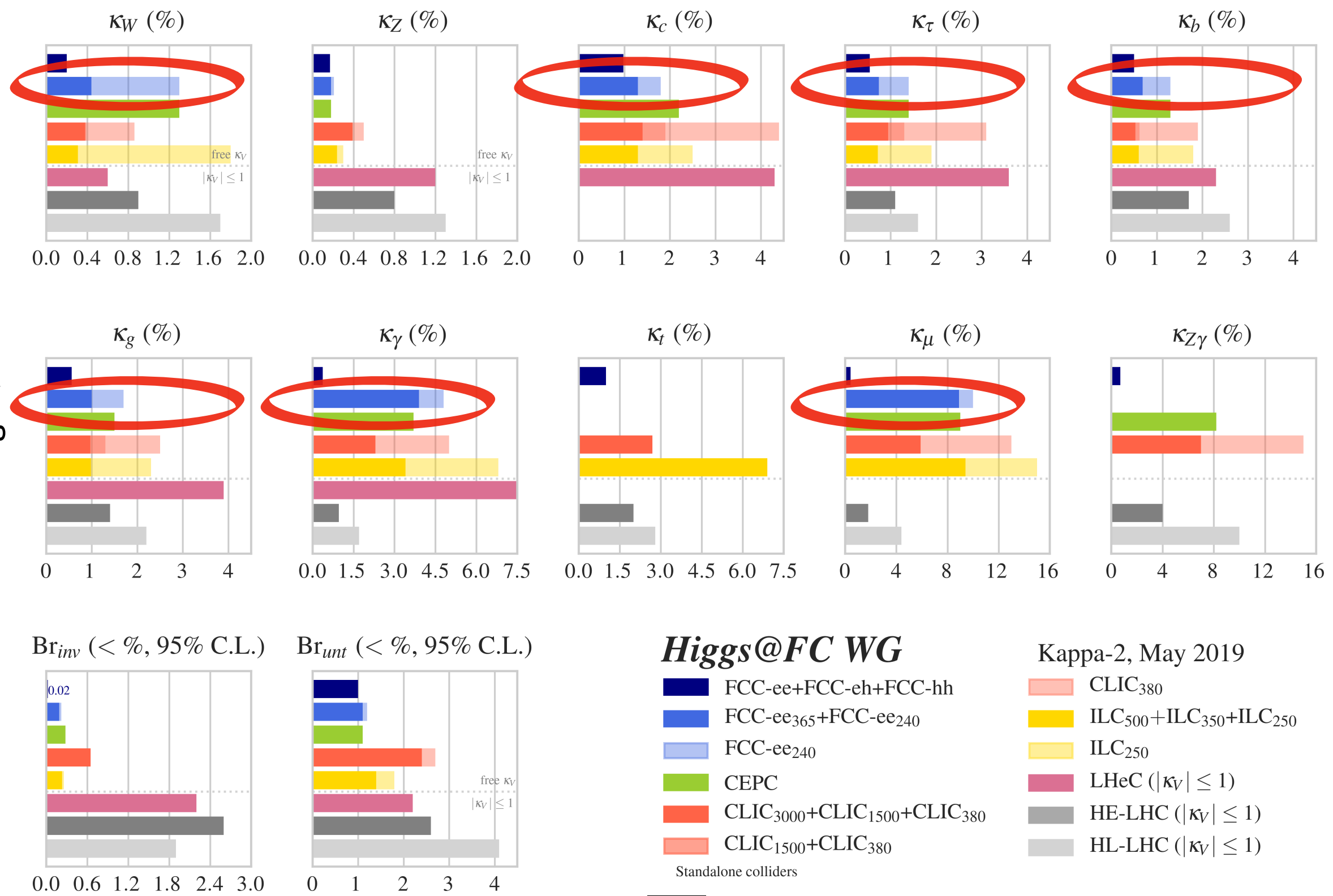
FCC-ee, 1906.02693

# Higgs @ FCC-ee: Complementarity of 240/365 GeV

ECFA Higgs study group '19

Scenario  $BR_{inv}$   $BR_{unt}$  include HL-LHC  
 kappa-2 measured measured no

hadron collider cannot measure width  
 need an assumption to close the fit  
 e.g.  $\kappa_V < 1$



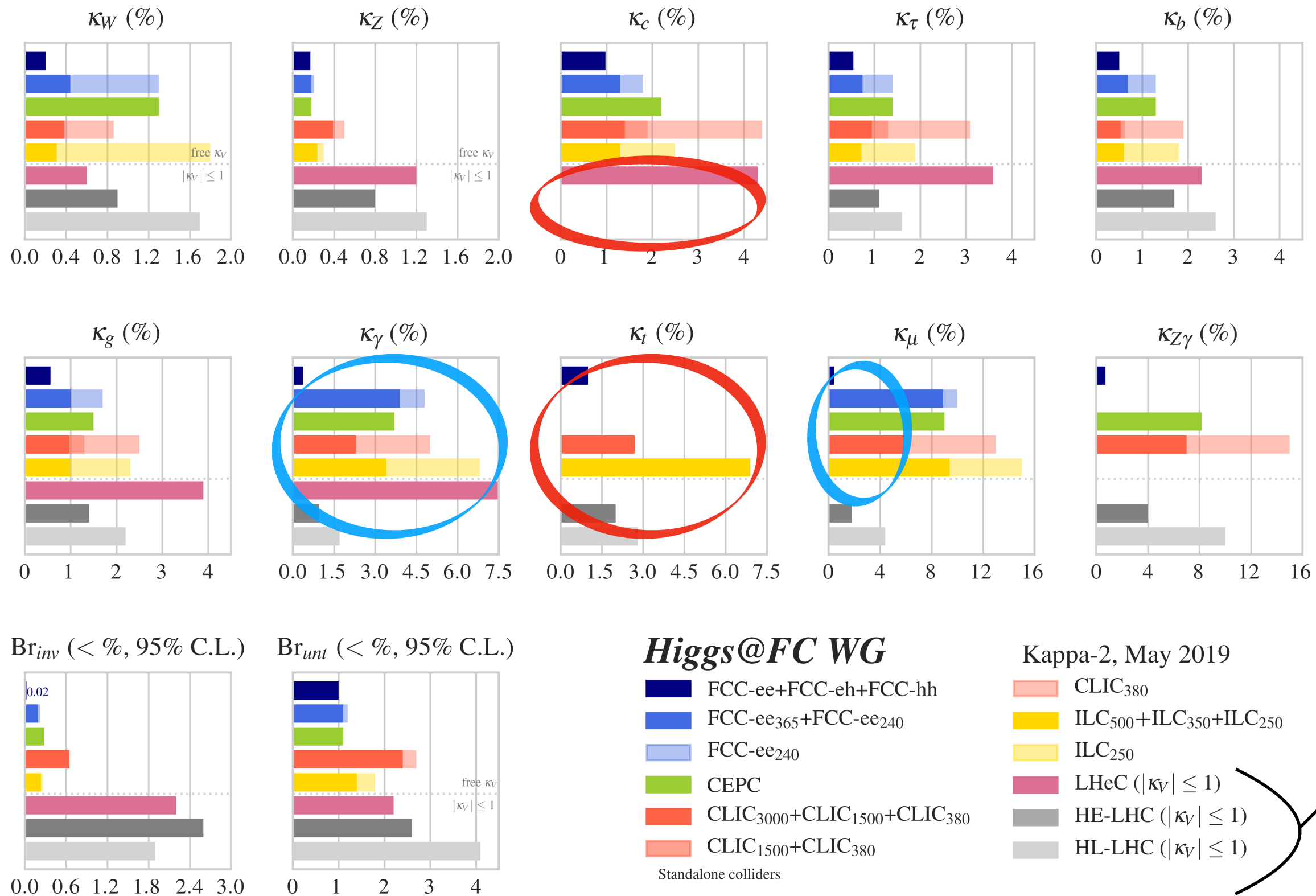


# Higgs @ FCC-ee: Complementarity with HL-LHC

ECFA Higgs study group '19

Scenario	$BR_{inv}$	$BR_{unt}$	include HL-LHC
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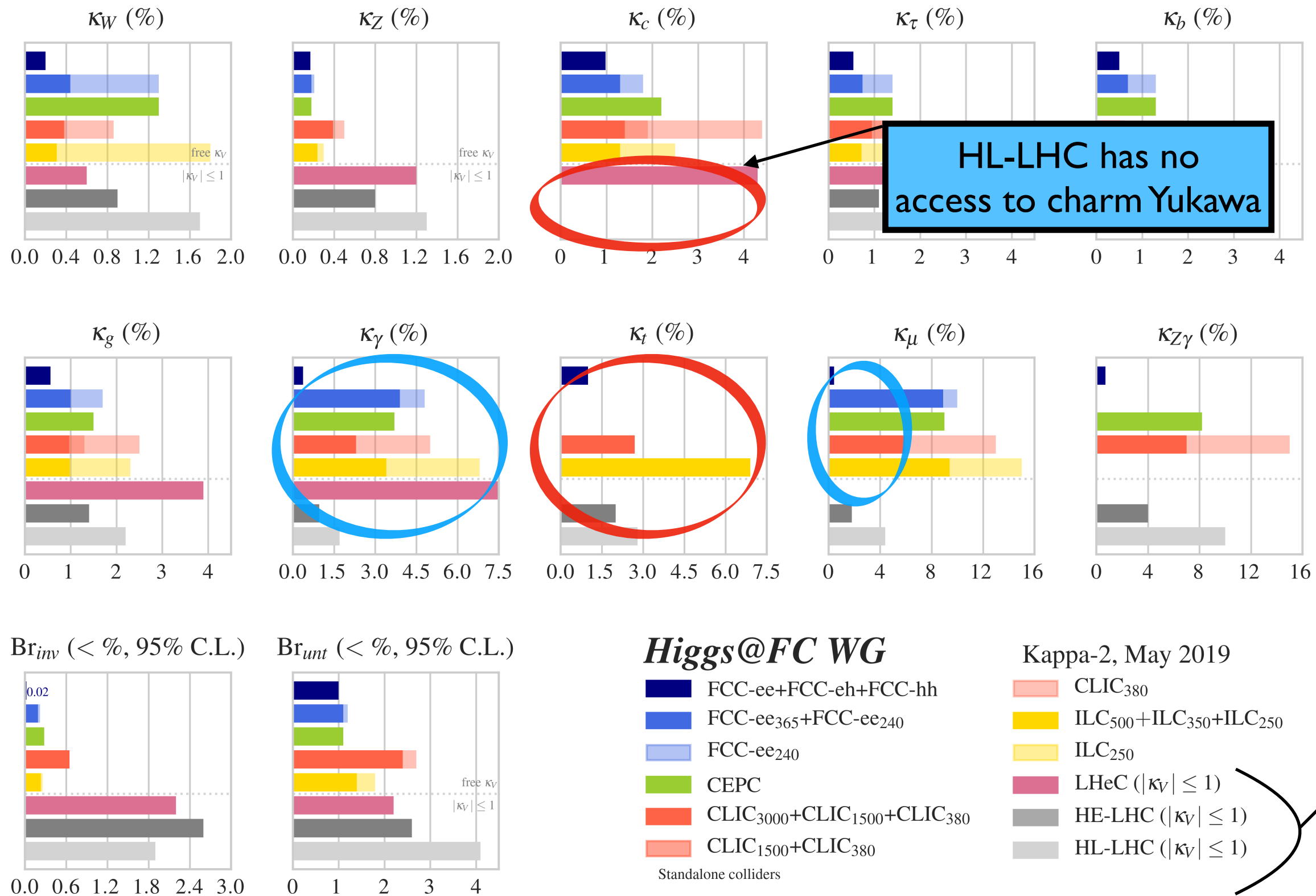
assumption  
needed for the fit  
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machines

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HL-LHC has no access to charm Yukawa

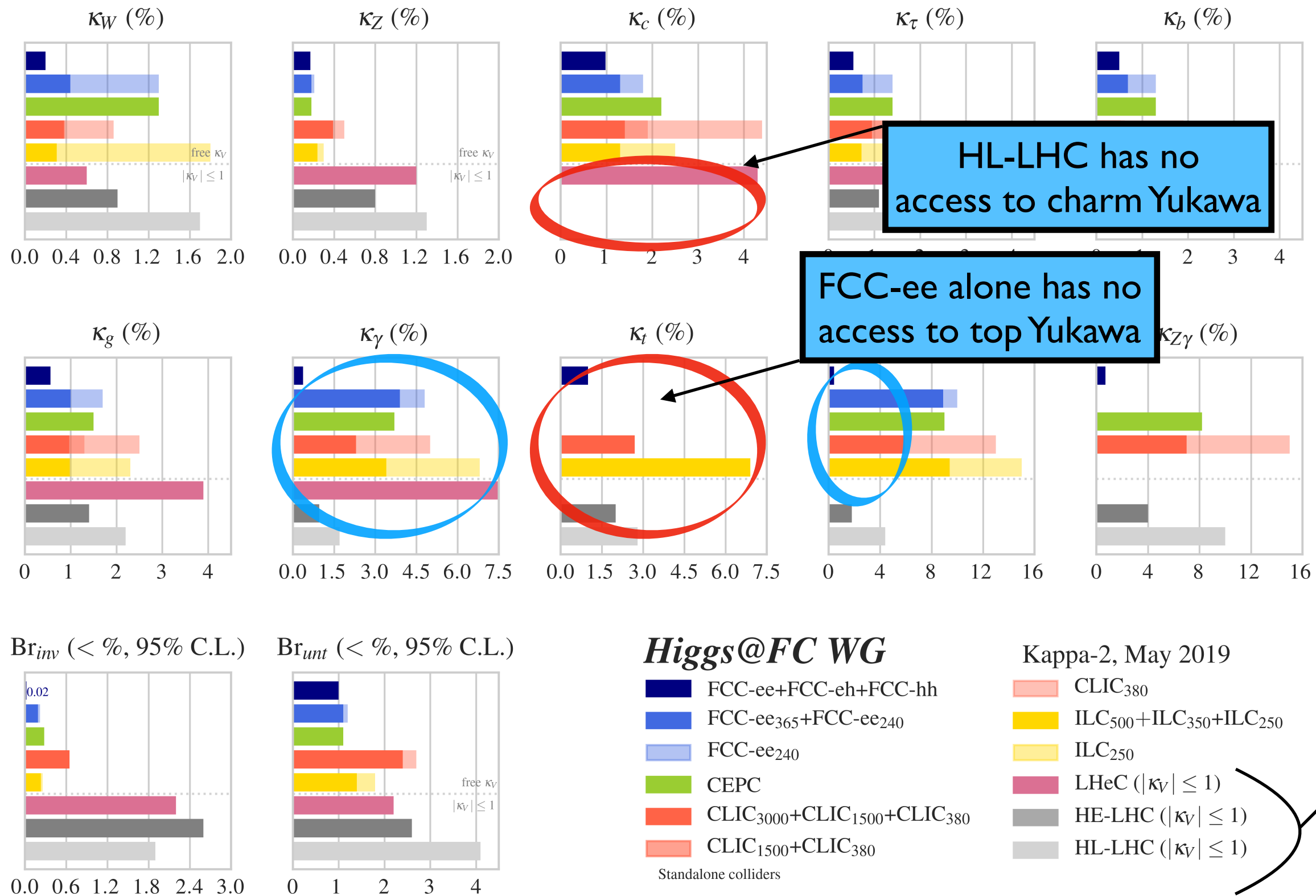
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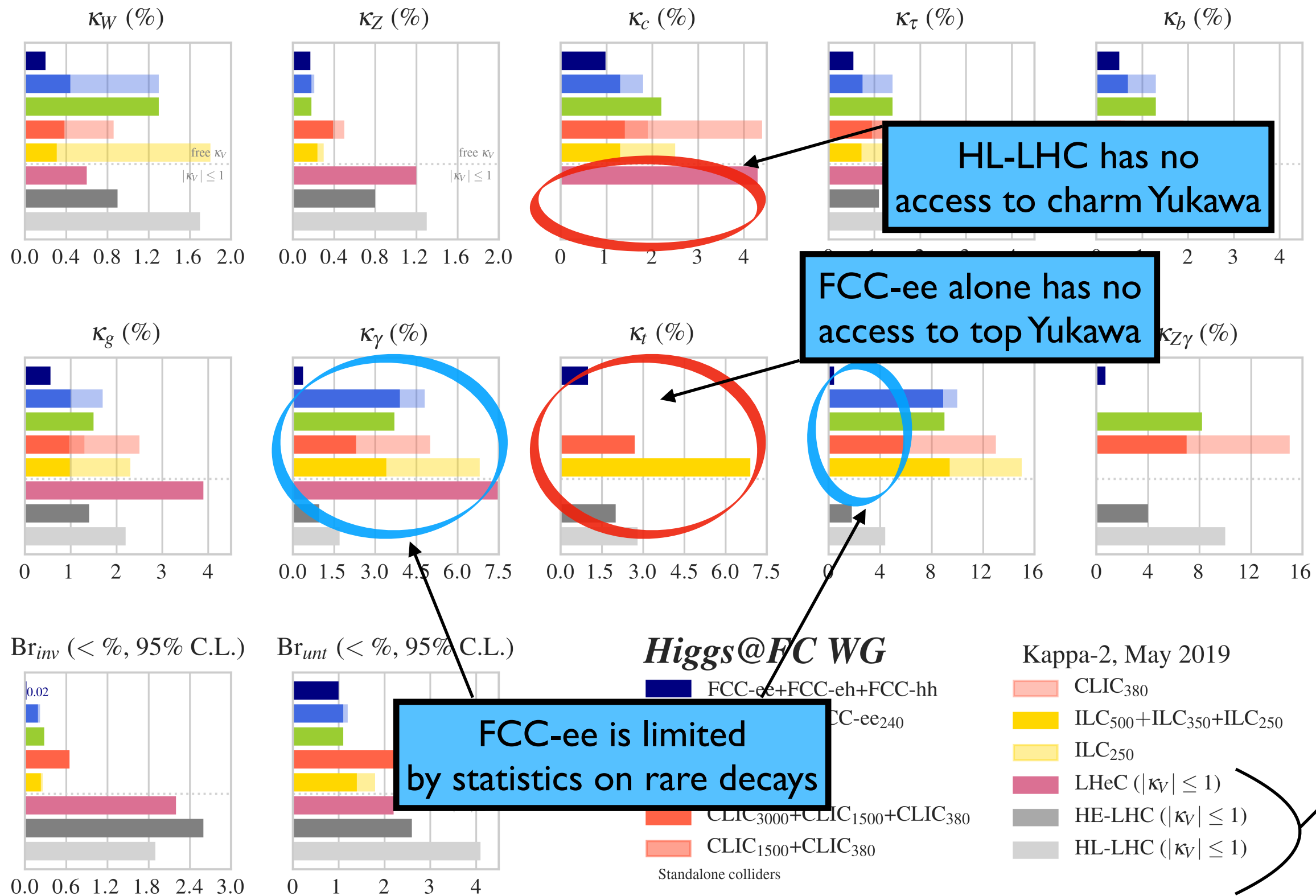
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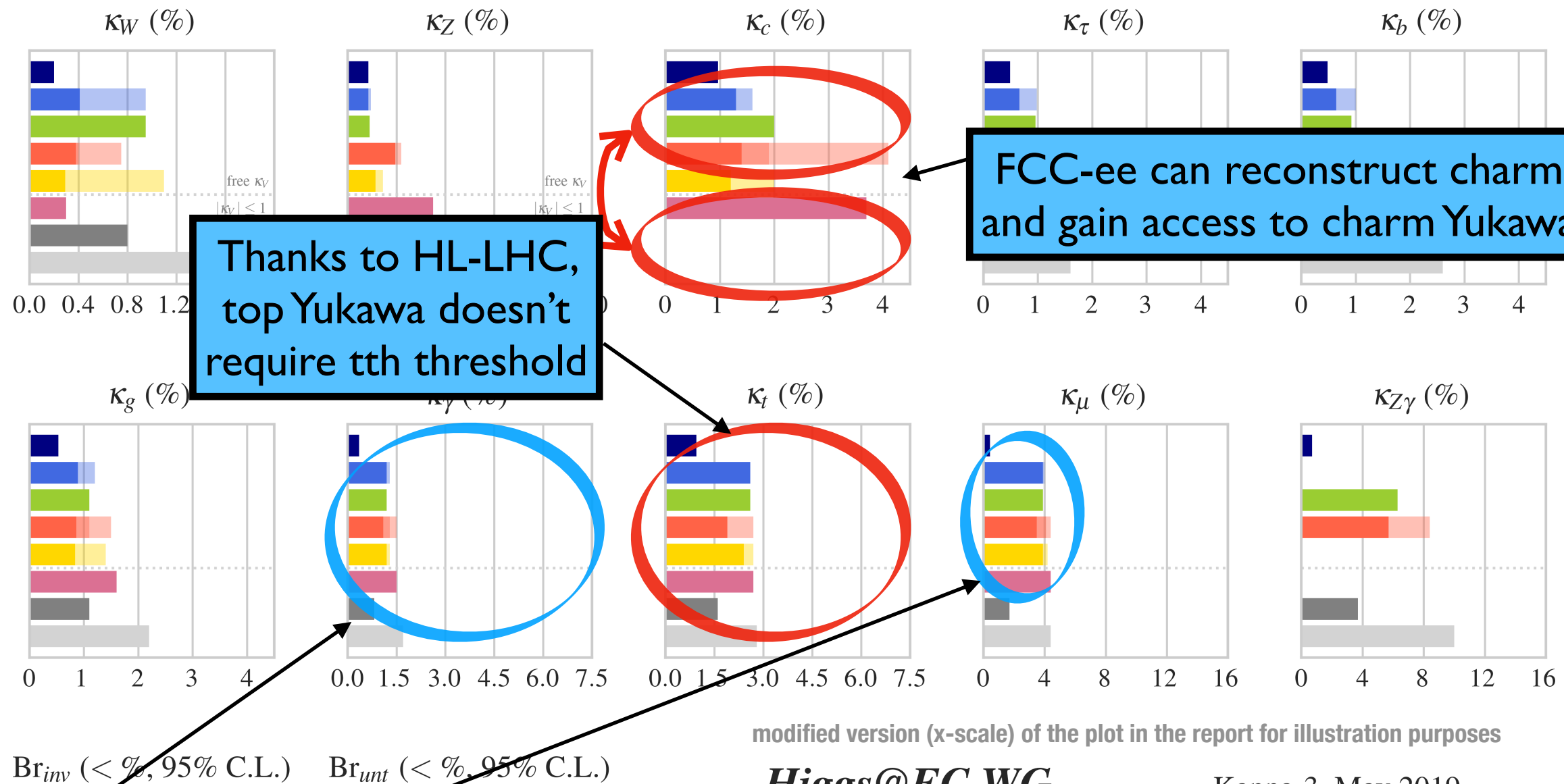


assumption  
needed for the fit  
to close at hadron  
machines

# Higgs @ FCC-ee: Complementarity with HL-LHC

ECFA Higgs study group '19

Scenario	include HL-LHC
kappa-3	yes
$BR_{inv}$	measured
$BR_{unt}$	measured



modified version (x-scale) of the plot in the report for illustration purposes

Higgs@FC WG

Kappa-3, May 2019

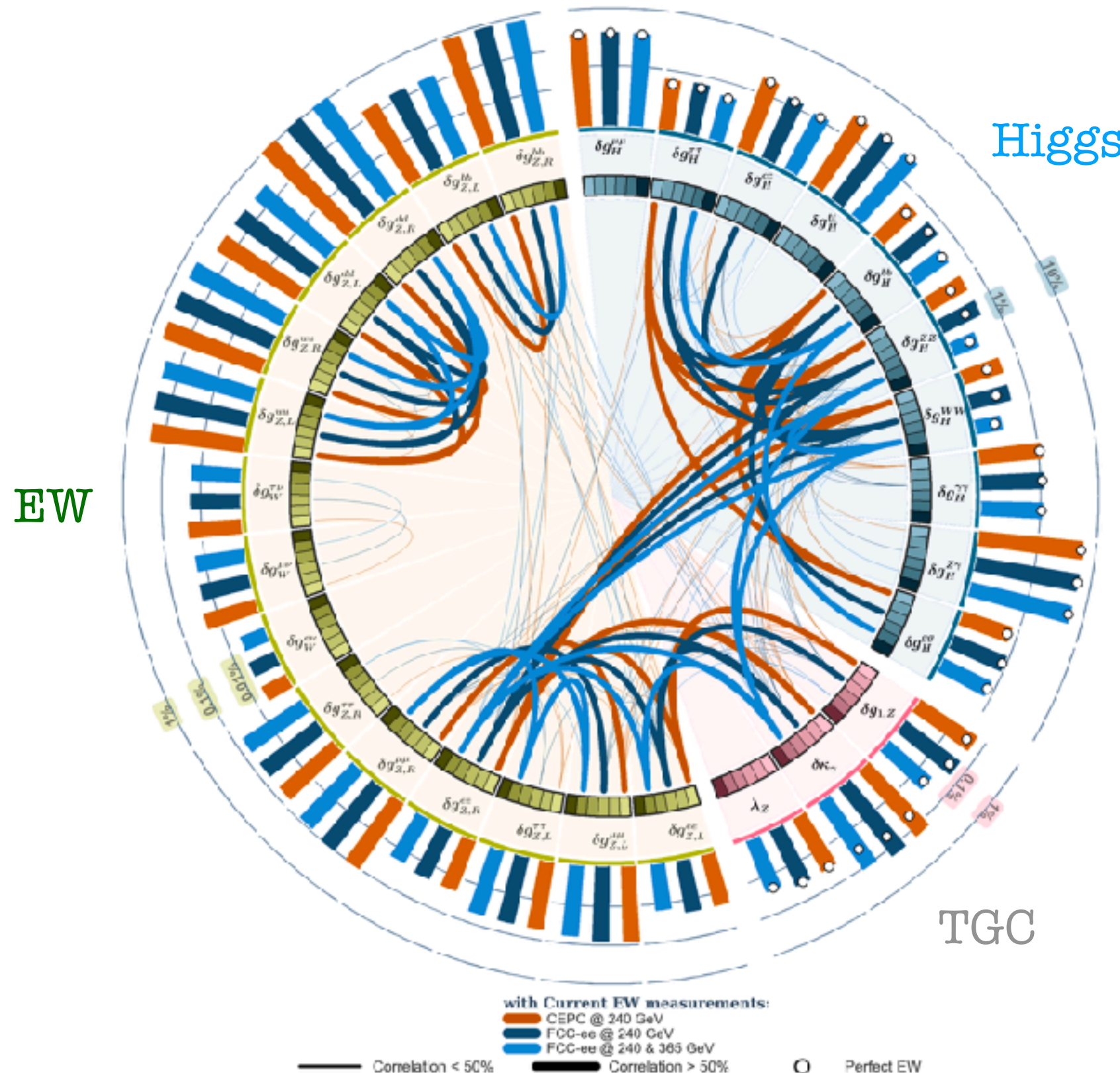
LHC brings statistics  
FCC-ee adds a bit of sensitivity

Important **synergy** HL-LHC — low energy lepton colliders

1. Top/Charm Yukawa
2. Statistically limited channels:  $\gamma\gamma$ ,  $\mu\mu$

# Impact of Z-pole Measurements

J. De Blas et al. 1907.04311

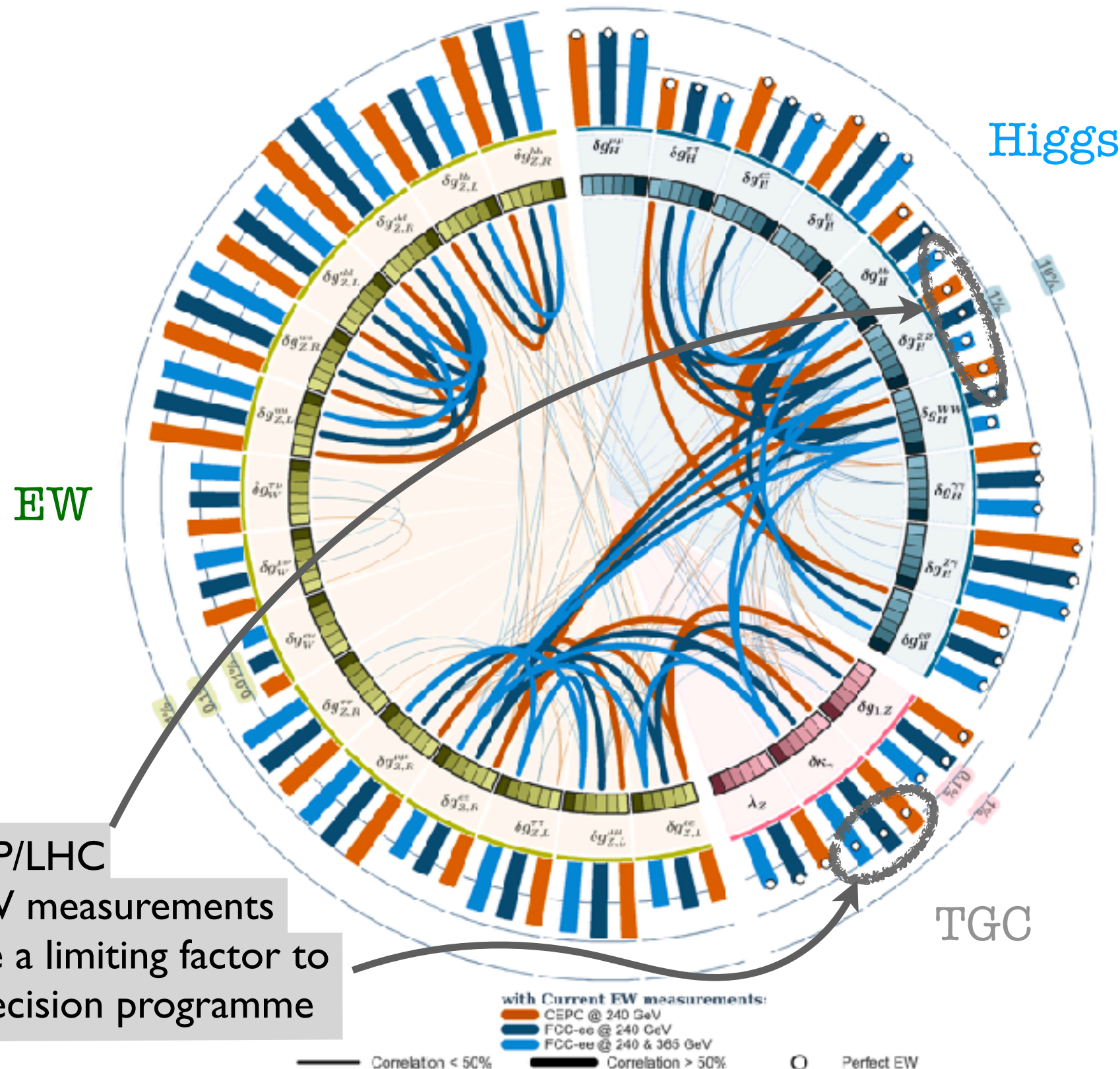


Contamination EW/TGC/Higgs can be understood by looking at correlations

Without Z-pole runs, there are large correlations between EW and Higgs

# Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



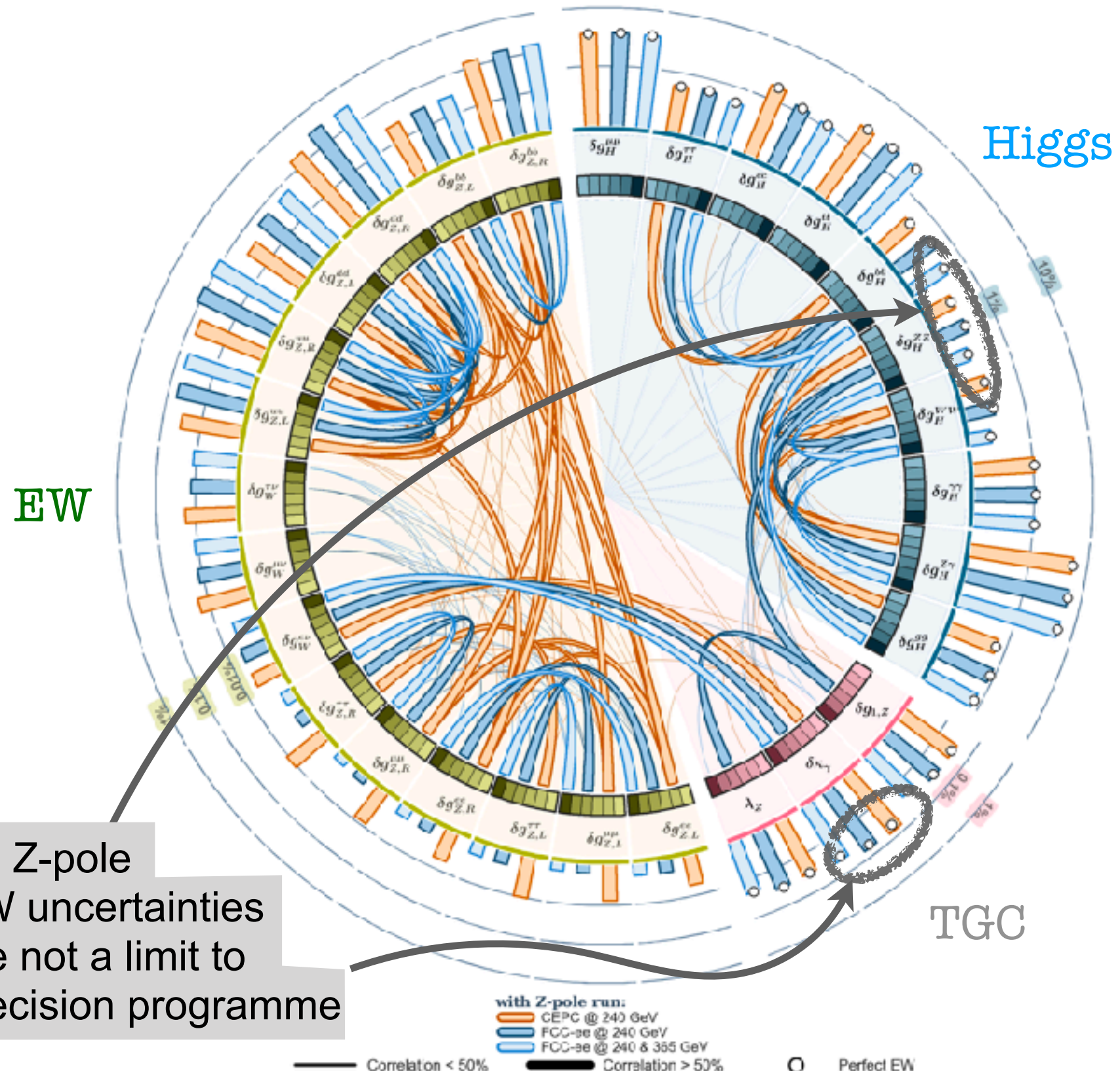
Contamination EW/TGC/Higgs can be understood by looking at correlations

Without Z-pole runs, there are large correlations between EW and Higgs

LEP/LHC EW measurements are a limiting factor to precision programme

# Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



Contamination EW/TGC/Higgs can be understood by looking at correlations

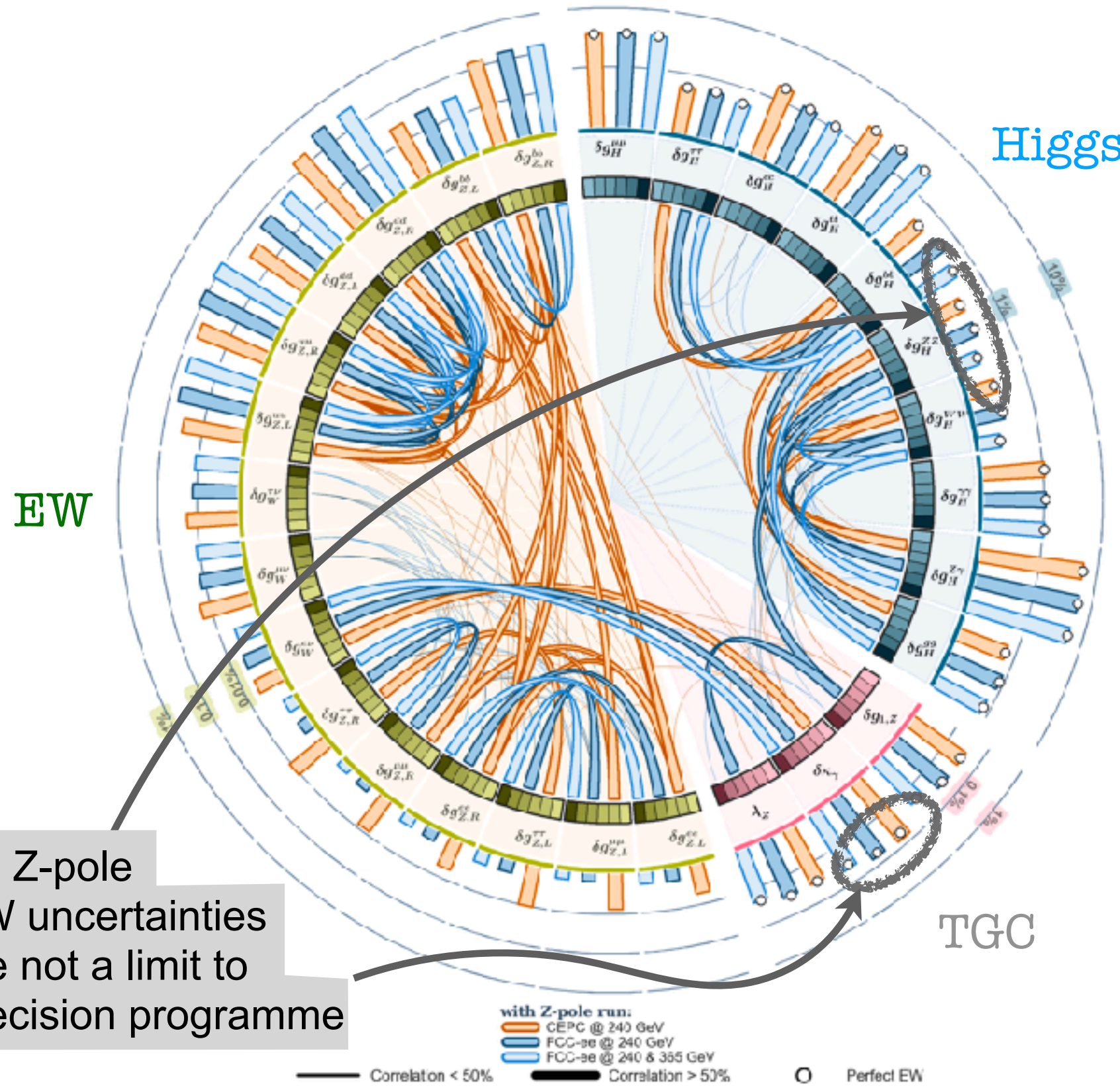
With Z-pole runs, only correlations between EW and TGC remain

w/. Z-pole EW uncertainties are not a limit to precision programme



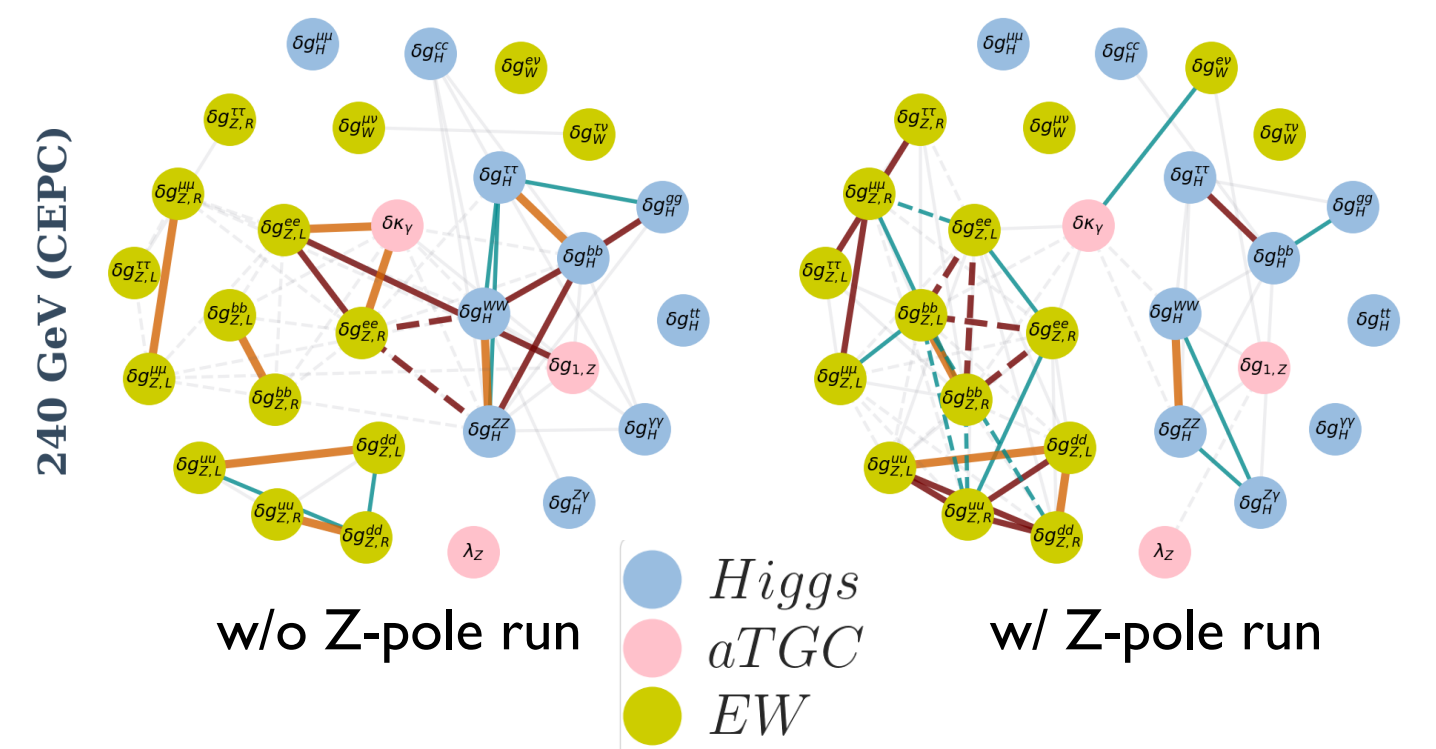
# Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



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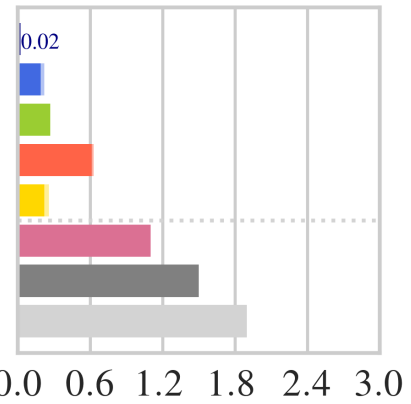
Z-pole runs at circular colliders isolate EW and Higgs sectors from each others



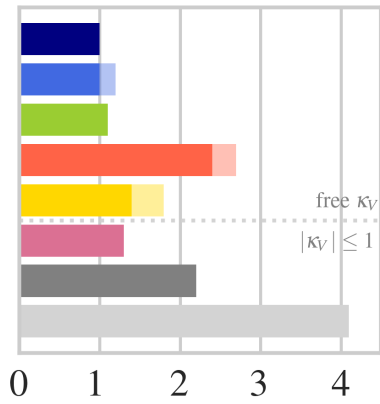
w/. Z-pole EW uncertainties are not a limit to precision programme

# Higgs @ FCC-ee: Pivot between LHC and FCC-hh

Br<sub>inv</sub> (< %, 95% C.L.)



Br<sub>unt</sub> (< %, 95% C.L.)



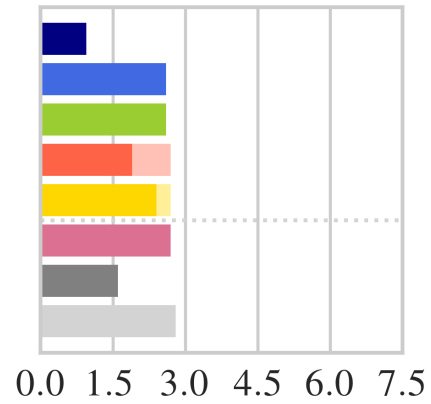
## Higgs@FC WG

- FCC-ee+FCC-eh+FCC-hh
  - FCC-ee<sub>365</sub>+FCC-ee<sub>240</sub>
  - FCC-ee<sub>240</sub>
  - CEPC
  - CLIC<sub>3000</sub>+CLIC<sub>1500</sub>+CLIC<sub>380</sub>
  - CLIC<sub>1500</sub>+CLIC<sub>380</sub>
  - Kappa-3, May 2019
  - CLIC<sub>380</sub>
  - ILC<sub>500</sub>+ILC<sub>350</sub>+ILC<sub>250</sub>
  - ILC<sub>250</sub>
  - LHeC ( $|\kappa_V| \leq 1$ )
  - HE-LHC ( $|\kappa_V| \leq 1$ )
  - HL-LHC ( $|\kappa_V| \leq 1$ )
- All future colliders combined with HL-LHC

FCC-hh without ee could still bound BR<sub>inv</sub> but it could say nothing about BR<sub>unt</sub>

FCC-ee needed for absolute normalisation of Higgs couplings

κ<sub>t</sub> (%)

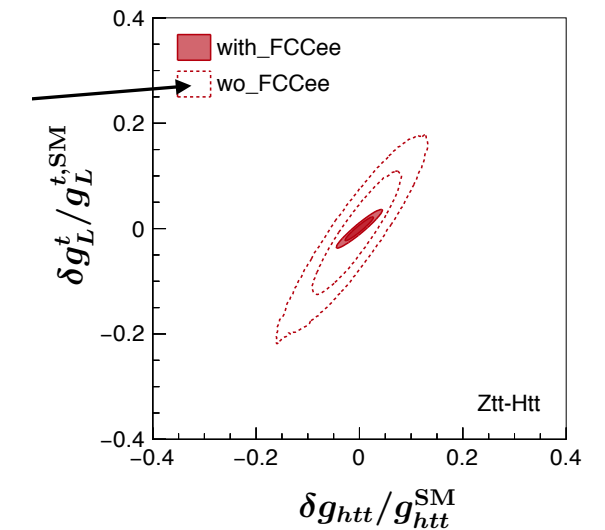
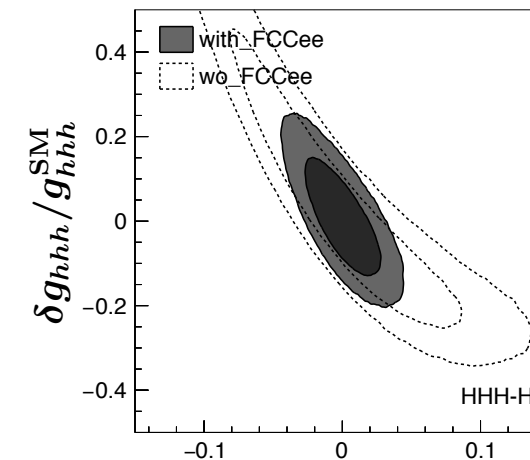


FCC-hh is determining top Yukawa through ratio tth/ttZ  
So the extraction of top Yukawa heavily relies on the knowledge of ttZ from FCC-ee

	$\sigma(t\bar{t}H)$ [pb]	$\sigma(t\bar{t}Z)$ [pb]	$\frac{\sigma(t\bar{t}H)}{\sigma(t\bar{t}Z)}$
13 TeV	$0.475^{+5.79\%+3.33\%}_{-9.04\%-3.08\%}$	$0.785^{+9.81\%+3.27\%}_{-11.2\%-3.12\%}$	$0.606^{+2.45\%+0.525\%}_{-3.66\%-0.319\%}$
100 TeV	$33.9^{+7.06\%+2.17\%}_{-8.29\%-2.18\%}$	$57.9^{+8.93\%+2.24\%}_{-9.46\%-2.43\%}$	$0.585^{+1.29\%+0.314\%}_{-2.02\%-0.147\%}$

Mangano+ '15

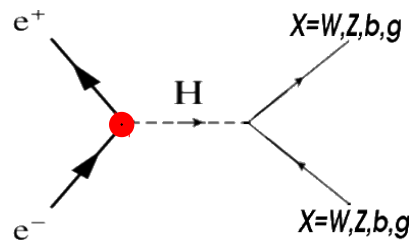
uncertainty drops in ratio



Plots by J. de Blas, '19

Subsequently, the 1% sensitivity on tth is essential to determine h<sup>3</sup> at O(5%) at FCC-hh

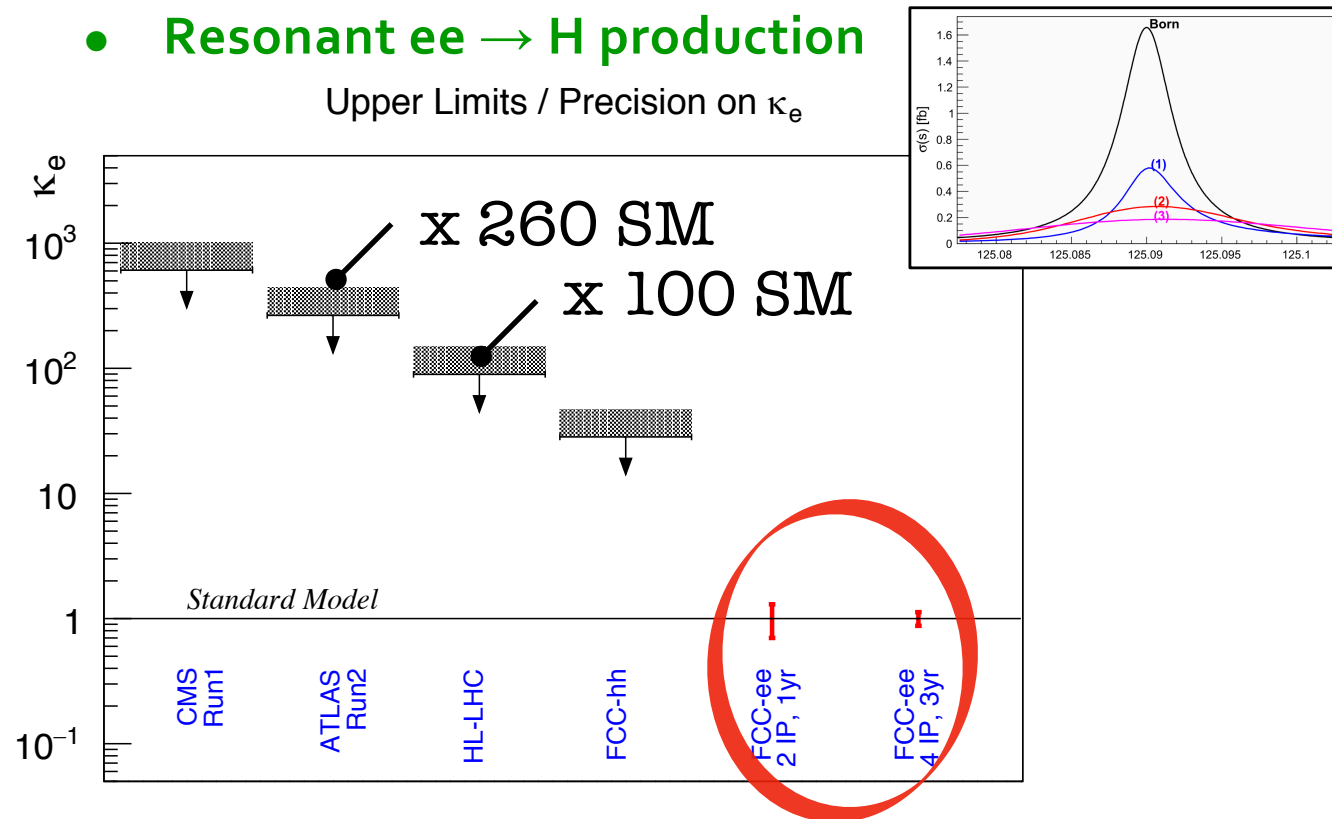
# Access to e- Yukawa



$$\sigma(e^+e^- \rightarrow H) = 1.64 \text{ fb}$$

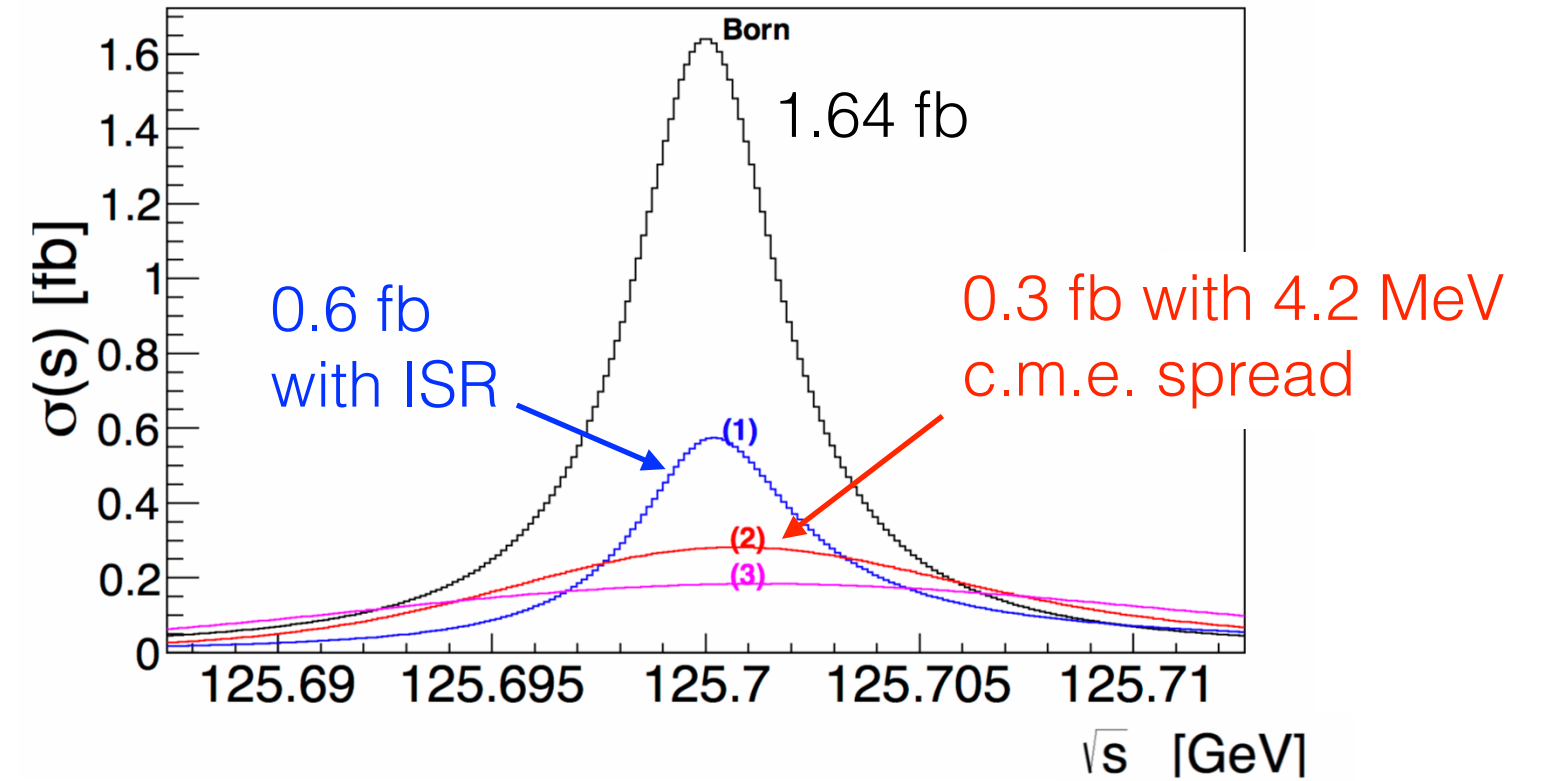
$$\sigma_{\text{spread+ISR}}(e^+e^- \rightarrow H) = 0.17 \times \sigma(e^+e^- \rightarrow H) = 290 \text{ ab}$$

- ◆ 20 ab<sup>-1</sup>/year at  $\sqrt{s} = 125 \text{ GeV}$  (not in baseline FCC-ee)
- ◆ Monochromatization  $\sigma_{\sqrt{s}} \sim 1-2 \times \Gamma_H \sim 6 \text{ to } 10 \text{ MeV}$
- Resonant ee  $\rightarrow$  H production

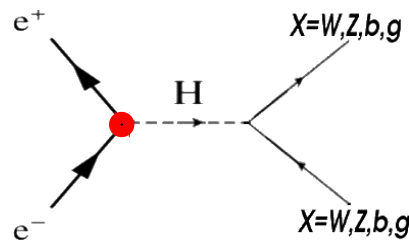


- 2 $\sigma$  excess in one year with 2 IP
- $\pm 15\%$  precision on  $\kappa_e$  in 3 years with 4 IP
- ➔ Not feasible at ILC or CLIC

Jadach+, arXiv: 1509.02406



# Access to e- Yukawa



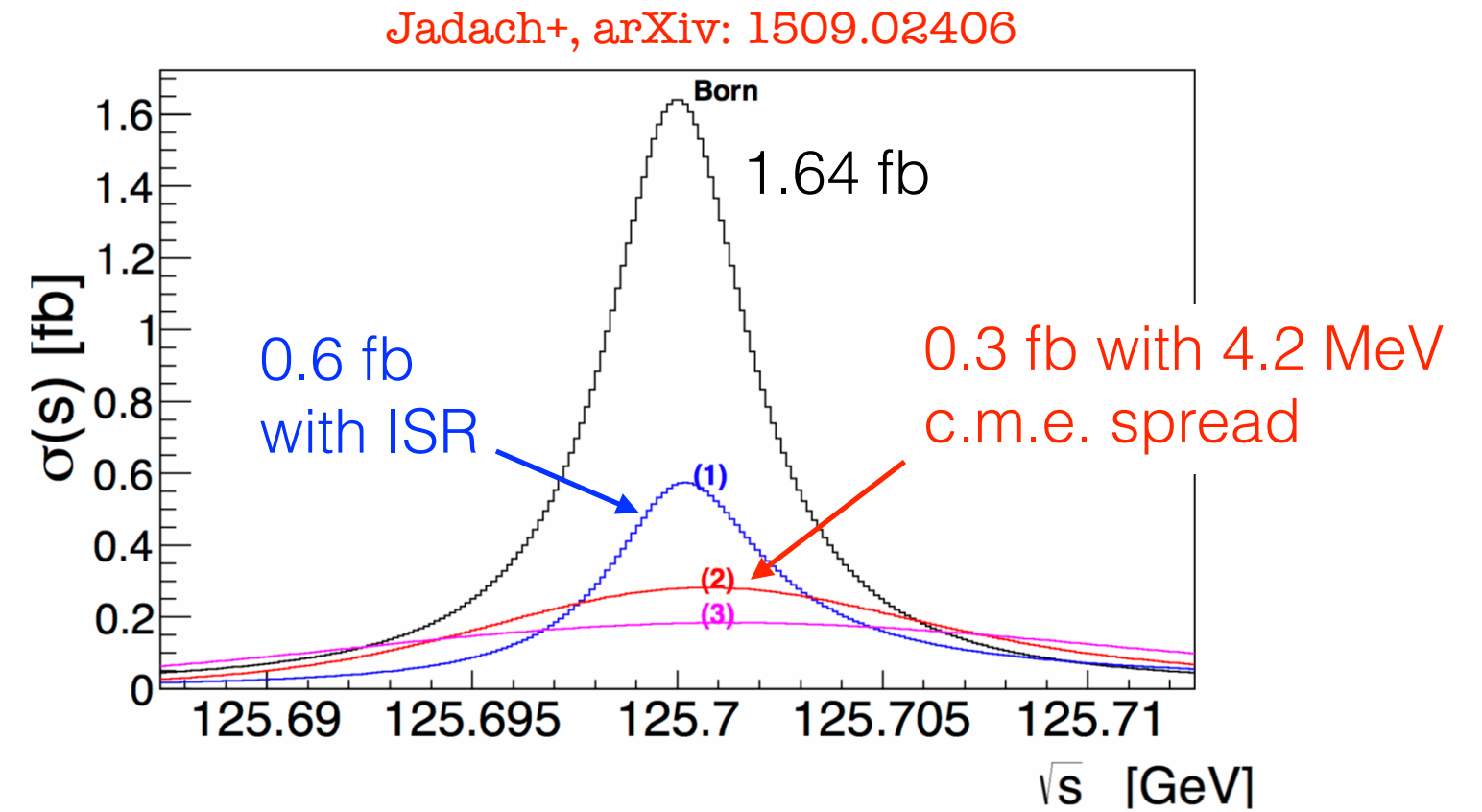
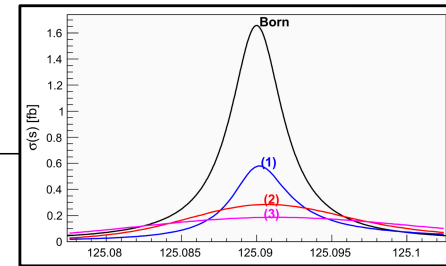
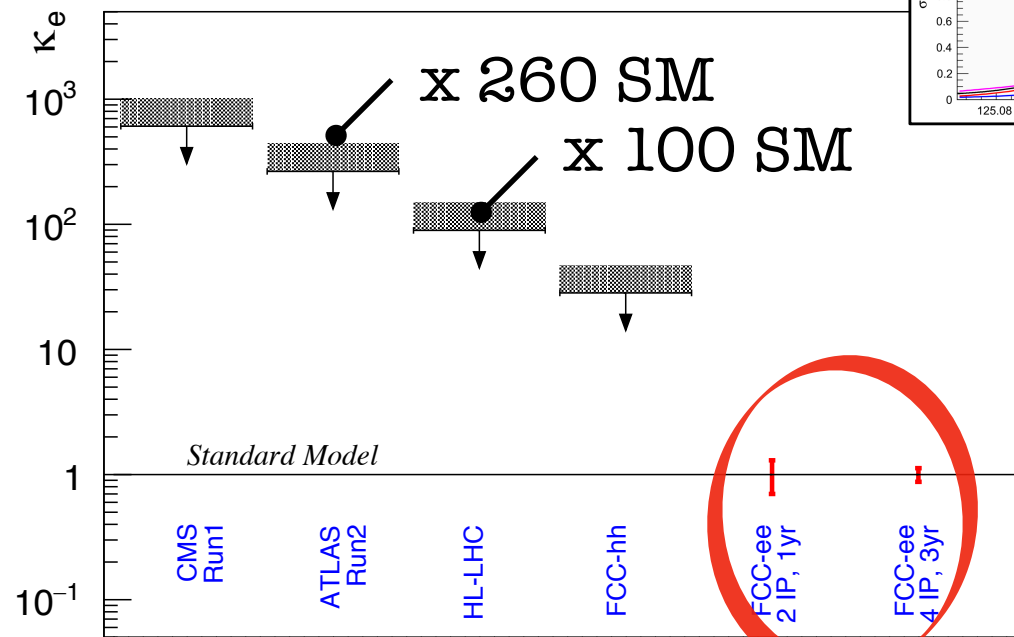
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## Resonant ee → H production

Upper Limits / Precision on  $\kappa_e$



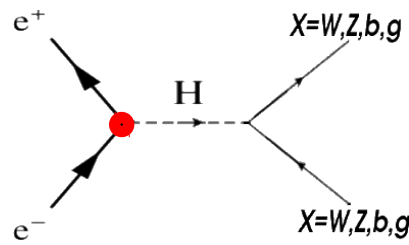
Monochromatisation is essential:

very demanding measurement!  
 -- requires measurement of ECM boost and ECM spread across the luminous region

-- should be tested at Z pole (more stats)  
 -- but  $m_{\text{higgs}}$  should be known @  $\pm 2-4 \text{ MeV}$   
 → should be run after both the Z pole and the ZH point  
 → request some flexibility in machine settings

- 2σ excess in one year with 2 IP
- ±15% precision on  $\kappa_e$  in 3 years with 4 IP  
 → Not feasible at ILC or CLIC

# Access to e- Yukawa



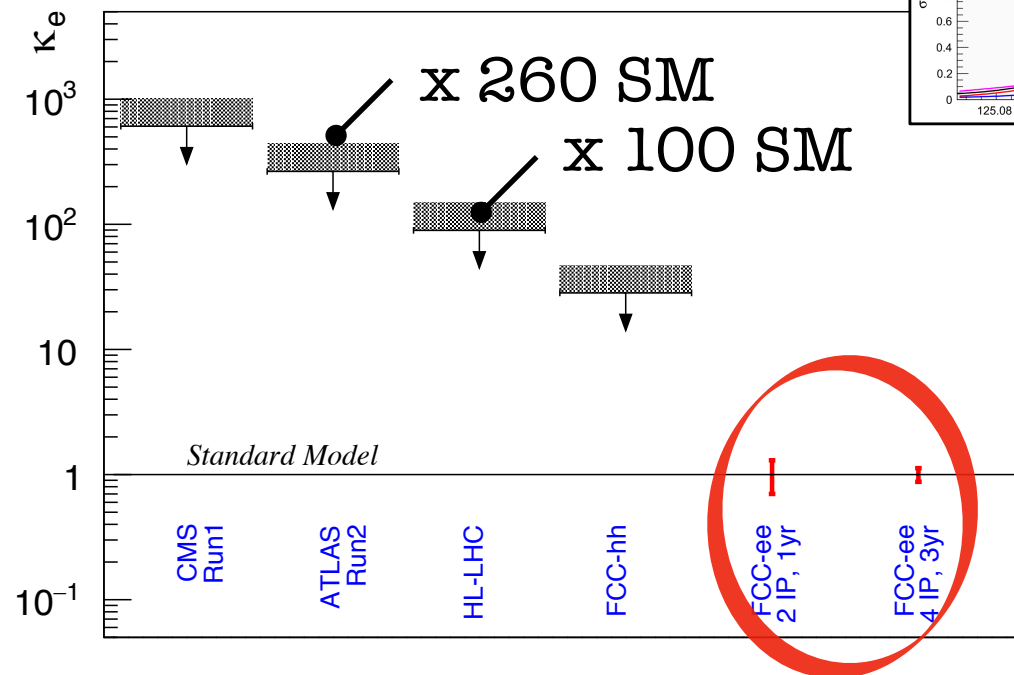
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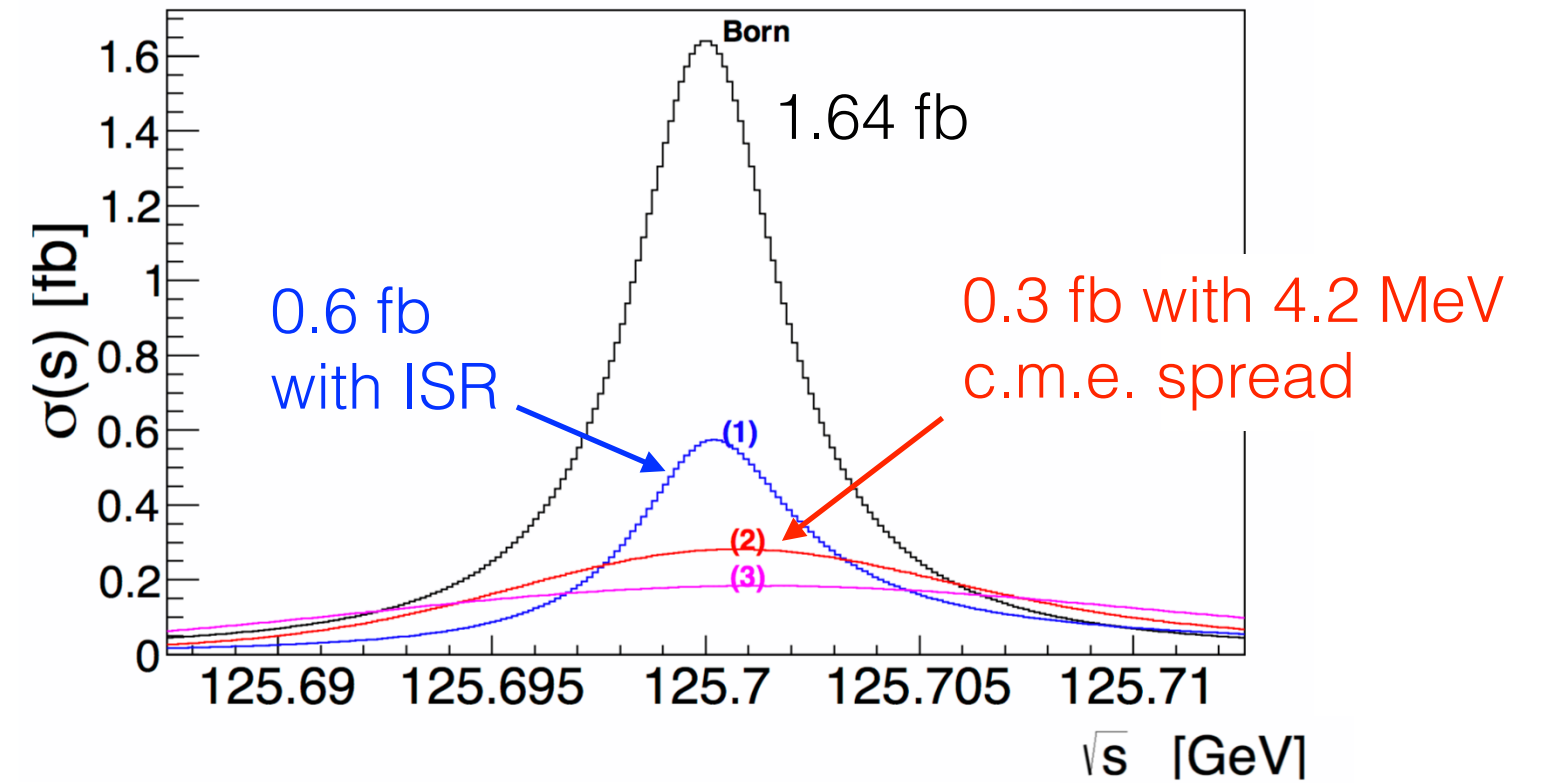
- Resonant ee → H production

Upper Limits / Precision on  $\kappa_e$



- 2σ excess in one year with 2 IP
  - ±15% precision on  $\kappa_e$  in 3 years with 4 IP
- Not feasible at ILC or CLIC

Jadach+, arXiv: 1509.02406



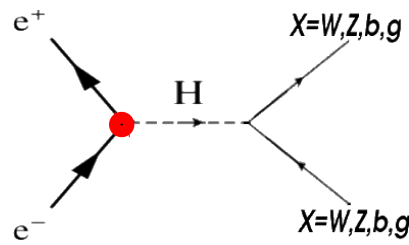
Producing these Higgses is not enough.

One needs to “see” them too.

To distinguish them from offshell Z’s,

better to look at decays to particles that don’t couple to Z’s

# Access to e- Yukawa



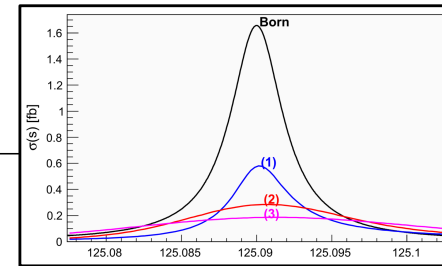
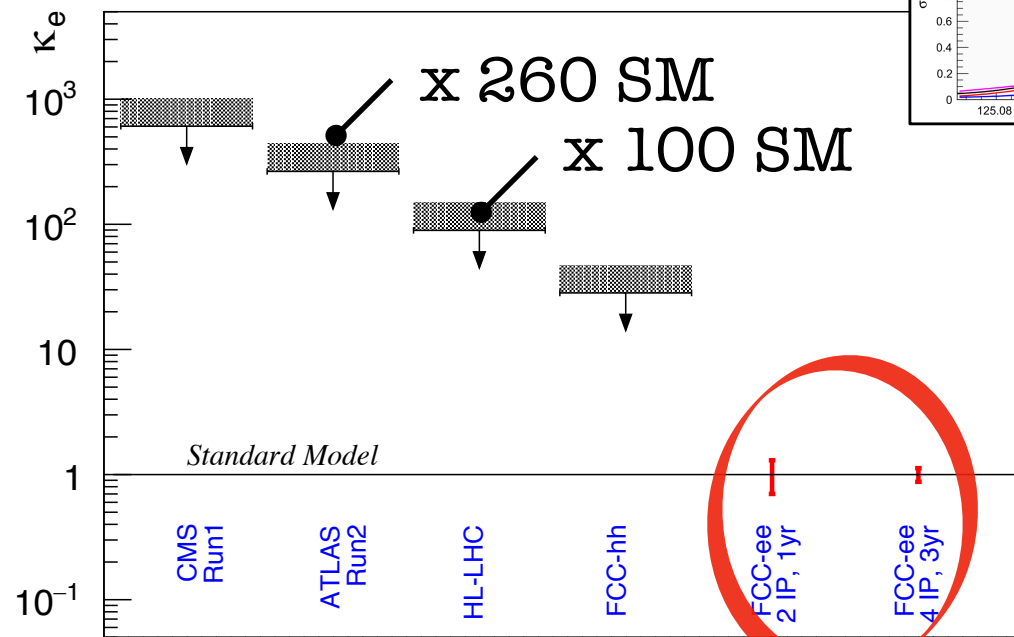
$$\sigma(e^+e^- \rightarrow H) = 1.64 \text{ fb}$$

$$\sigma_{\text{spread+ISR}}(e^+e^- \rightarrow H) = 0.17 \times \sigma(e^+e^- \rightarrow H) = 290 \text{ ab}$$

- ◆ 20 ab<sup>-1</sup>/year at  $\sqrt{s} = 125 \text{ GeV}$  (not in baseline FCC-ee)
- ◆ Monochromatization  $\sigma_{\sqrt{s}} \sim 1\text{-}2 \times \Gamma_H \sim 6 \text{ to } 10 \text{ MeV}$

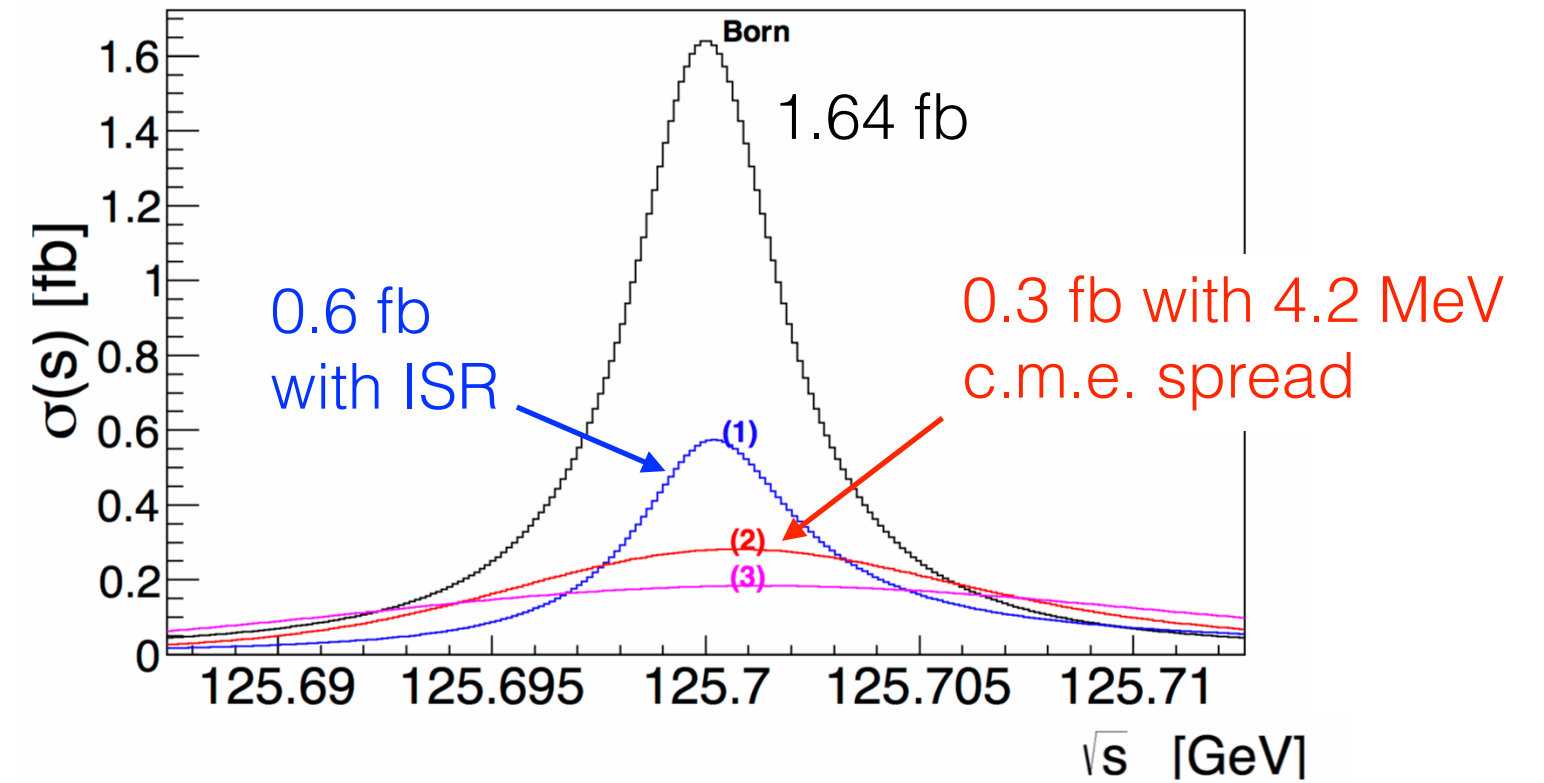
## Resonant ee → H production

Upper Limits / Precision on  $\kappa_e$



- 2 $\sigma$  excess in one year with 2 IP
  - $\pm 15\%$  precision on  $\kappa_e$  in 3 years with 4 IP
- Not feasible at ILC or CLIC

Jadach+, arXiv: 1509.02406



d'Enterria+, arXiv: 2107.02686

Higgs decay channel	$\mathcal{B}$	$\sigma \times \mathcal{B}$	Irreducible background	$\sigma$	$S/B$
$e^+e^- \rightarrow H \rightarrow b\bar{b}$	58.2%	164 ab	$e^+e^- \rightarrow b\bar{b}$	19 pb	$\mathcal{O}(10^{-5})$
$e^+e^- \rightarrow H \rightarrow gg$	8.2%	23 ab	$e^+e^- \rightarrow q\bar{q}$	61 pb	$\mathcal{O}(10^{-3})$
$e^+e^- \rightarrow H \rightarrow \tau\tau$	6.3%	18 ab	$e^+e^- \rightarrow \tau\tau$	10 pb	$\mathcal{O}(10^{-6})$
$e^+e^- \rightarrow H \rightarrow c\bar{c}$	2.9%	8.2 ab	$e^+e^- \rightarrow c\bar{c}$	22 pb	$\mathcal{O}(10^{-7})$
$e^+e^- \rightarrow H \rightarrow WW^* \rightarrow l\nu 2j$	21.4% $\times$ 67.6% $\times$ 32.4% $\times$ 2	26.5 ab	$e^+e^- \rightarrow WW^* \rightarrow l\nu 2j$	23 fb	$\mathcal{O}(10^{-3})$
$e^+e^- \rightarrow H \rightarrow WW^* \rightarrow 2l 2\nu$	21.4% $\times$ 32.4% $\times$ 32.4%	6.4 ab	$e^+e^- \rightarrow WW^* \rightarrow 2l 2\nu$	5.6 fb	$\mathcal{O}(10^{-3})$
$e^+e^- \rightarrow H \rightarrow WW^* \rightarrow 4j$	21.4% $\times$ 67.6% $\times$ 67.6%	27.6 ab	$e^+e^- \rightarrow WW^* \rightarrow 4j$	24 fb	$\mathcal{O}(10^{-3})$
$e^+e^- \rightarrow H \rightarrow ZZ^* \rightarrow 2j 2\nu$	2.6% $\times$ 70% $\times$ 20% $\times$ 2	2 ab	$e^+e^- \rightarrow ZZ^* \rightarrow 2j 2\nu$	273 ab	$\mathcal{O}(10^{-2})$
$e^+e^- \rightarrow H \rightarrow ZZ^* \rightarrow 2l 2j$	2.6% $\times$ 70% $\times$ 10% $\times$ 2	1 ab	$e^+e^- \rightarrow ZZ^* \rightarrow 2l 2j$	136 ab	$\mathcal{O}(10^{-2})$
$e^+e^- \rightarrow H \rightarrow ZZ^* \rightarrow 2l 2\nu$	2.6% $\times$ 20% $\times$ 10% $\times$ 2	0.3 ab	$e^+e^- \rightarrow ZZ^* \rightarrow 2l 2\nu$	39 ab	$\mathcal{O}(10^{-2})$
$e^+e^- \rightarrow H \rightarrow \gamma\gamma$	0.23%	0.65 ab	$e^+e^- \rightarrow \gamma\gamma$	79 pb	$\mathcal{O}(10^{-8})$

w. 10/ab

H → gg	H → WW* → lν 2j; 2l 2ν; 4j	H → ZZ* → 2j 2ν; 2l 2j; 2l 2ν	H → b $\bar{b}$	H → τ <sub>had</sub> τ <sub>had</sub> ; c $\bar{c}$ ; γγ	Combined
1.1 $\sigma$	(0.53 $\otimes$ 0.34 $\otimes$ 0.13) $\sigma$	(0.32 $\otimes$ 0.18 $\otimes$ 0.05) $\sigma$	0.13 $\sigma$	< 0.02 $\sigma$	1.3 $\sigma$

w/ 10/ab: S~55, B~2400 → 1.1 $\sigma$

# The future: other directions not explored yet

- **Non-diagonal flavour structures:**

1. in SM, no Higgs FCNC
2. in BSM, Higgs FCNC are the rule rather than the exception
3. combination with flavour data

- **CP violation couplings: CPV is a collective effect**

1. in SM, a single CPV phase captured by Jarlskog invariant:  $J_4 = \text{ImTr} \left( [Y_u Y_u^\dagger, Y_d Y_d^\dagger]^3 \right)$
2. how many at dim-6 level?

large parameter space,  
largely unconstrained

—  
potentially large new physics effects  
since they do not suffer from same  
collective suppression factor of the SM

		# of ops	# of ops		inv. under $U(1)_{L_i} - U(1)_{L_j}$	
Type of op.			# real	# im.	# real	# im.
bilinears	Yukawa	3	27	27	21	21
	Dipoles	8	72	72	60	60
	current-current	8	51	30	42	21
all bilinears		19	150	129	123	102
4-Fermi	LLLL	5	171	126	99	54
	RRRR	7	255	195	186	126
	LLRR	8	360	288	246	174
	LRRL	1	81	81	27	27
	LRLR	4	324	324	216	216
all 4-Fermi		25	1191	1014	774	597
all			1341	1143	897	699

699  
new  
Jarlskog  
BSM invariants  
Bonnetfoy+ [2112.03889](#)

- **Beyond SMEFT analyses, e.g. HEFT**

# Short-term Goals

1. Documentation of the specificities of the FCC-ee and FCC-hh **physics cases** and their complementarity for the characterisation of the Standard Model Higgs boson and beyond;
  - identify key topics and observables
  - propose new benchmark measurements
2. Strategic plans for improved **theoretical calculations** needed to reduce the theoretical uncertainties towards matching the FCC-ee expected statistical precision for the most important measurements: QCD and EW sectors
3. A first list of coherent sets of **detector requirements** to fully exploit the FCC-ee physics opportunities, in particular to reduce the experimental systematic uncertainties towards matching the FCC-ee expected statistical precision for the most important measurements.



# Summary of Physics Potential

FCC-ee note, 1906.02693

$e^+e^-$  collisions

pp collisions

$\sqrt{s}$ → Physics ↓	$m_Z$	$2m_W$	HZ max. 240-250 GeV	$2m_{top}$ 340-380 GeV	500 GeV	1.5 TeV	3 TeV	28 TeV 37 TeV 48 TeV	100 TeV	Leading Physics Questions
Precision EW (Z, W, top)	Transverse polarization	Transverse polarization		$m_W, \alpha_s$						Existence of more SM-Interacting particles
QCD ( $\alpha_s$ ) QED ( $\alpha_{QED}$ )	$5 \times 10^{12} Z$	$3 \times 10^8 W$	$10^5 H \rightarrow gg$							Fundamental constants and tests of QED/QCD
Model-independent Higgs couplings		$ee \rightarrow H$ $\sqrt{s} = m_H$	$1.2 \times 10^6 HZ$ and $75k WW \rightarrow H$ at two energies						<1% precision (*)	Test Higgs nature
Higgs rare decays									<1% precision (*)	Portal to new physics
Higgs invisible decays									$10^{-4}$ BR sensitivity	Portal to dark matter
Higgs self-coupling			3 to $5\sigma$ from loop corrections to Higgs cross sections						5% (HH prod) (*)	Key to EWSB
Flavours (b, $\tau$ )	$5 \times 10^{12} Z$									Portal to new physics Test of symmetries
RH $\nu$ 's, Feebly interacting particles	$5 \times 10^{12} Z$								$10^{11} W$	Direct NP discovery At low couplings
Direct search at high scales					$M_\chi < 250 \text{ GeV}$ Small $\Delta M$	$M_\chi < 750 \text{ GeV}$ Small $\Delta M$	$M_\chi < 1.5 \text{ TeV}$ Small $\Delta M$		Up to 40 TeV	Direct NP discovery At high mass
Precision EW at high energy							$\gamma$		$W, Z$	Indirect Sensitivity to Nearby new physics
Quark-gluon plasma Physics w/ injectors										QCD at origins

Green = Unique to FCC; Blue = Best with FCC; (\*) = if FCC-hh is combined with FCC-ee; Pink = Best with other colliders

# Conclusions

A circular “Higgs factory” like FCC-ee has a rich potential:

- \* Direct and indirect sensitivity to New Physics
- \* Establish new organising principles of Nature (LEP→ gauge symmetries, FCC→??)
- \* Probe the **HEP-Cosmo connections** thanks to the high statistics of the Z-pole run (omitting this exploration would be ignoring the outcome of LHC).

And FCC-ee is an essential part of an **integrated** programme to probe the energy frontier.

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And FCC-ee is an essential part of an **integrated** programme to probe the energy frontier.

**We have profound questions and we need create opportunities to answer them.**  
— FCC-ee will for sure contribute —

# BONUS

# Experimental Inputs

A circular ee Higgs factory starts as a Z/EW factory  
(**TeraZ**)

A linear ee Higgs factory operating above Z-pole can also preform EW measurements via **Z-radiative** return

A linear ee Higgs factory could also operate on the Z-pole though at lower lumi  
(**GigaZ**)

Not included in the analyses yet

	Higgs	aTGC	EWPO	Top EW
<b>FCC-ee</b>	Yes ( $\mu, \sigma_{ZH}$ ) (Complete with HL-LHC)	Yes (aTGC dom.) <i>Warning</i>	Yes	Yes (365 GeV, Ztt)
<b>ILC</b>	Yes ( $\mu, \sigma_{ZH}$ ) (Complete with HL-LHC)	Yes (HE limit) <i>Warning</i>	LEP/SLD (Z-pole) + HL-LHC + W (ILC)	Yes (500 GeV, Ztt)
<b>CEPC</b>	Yes ( $\mu, \sigma_{ZH}$ ) (Complete with HL-LHC)	Yes (aTGC dom.) <i>Warning</i>	Yes	No
<b>CLIC</b>	Yes ( $\mu, \sigma_{ZH}$ )	Yes (Full EFT parameterization)	LEP/SLD (Z-pole) + HL-LHC + W (CLIC)	Yes
<b>HE-LHC</b>	Extrapolated from HL-LHC	N/A → LEP2	LEP/SLD + HL-LHC ( $M_w, \sin^2\theta_w$ )	-
<b>FCC-hh</b>	Yes ( $\mu, BR_i/BR_j$ ) Used in combination with FCCee/eh	From FCC-ee	From FCC-ee	-
<b>LHeC</b>	Yes ( $\mu$ )	N/A → LEP2	LEP/SLD + HL-LHC ( $M_w, \sin^2\theta_w$ )	-
<b>FCC-eh</b>	Yes ( $\mu$ ) Used in combination with FCCee/hh	From FCC-ee	From FCC-ee + $Z_{uu}, Z_{dd}$	-

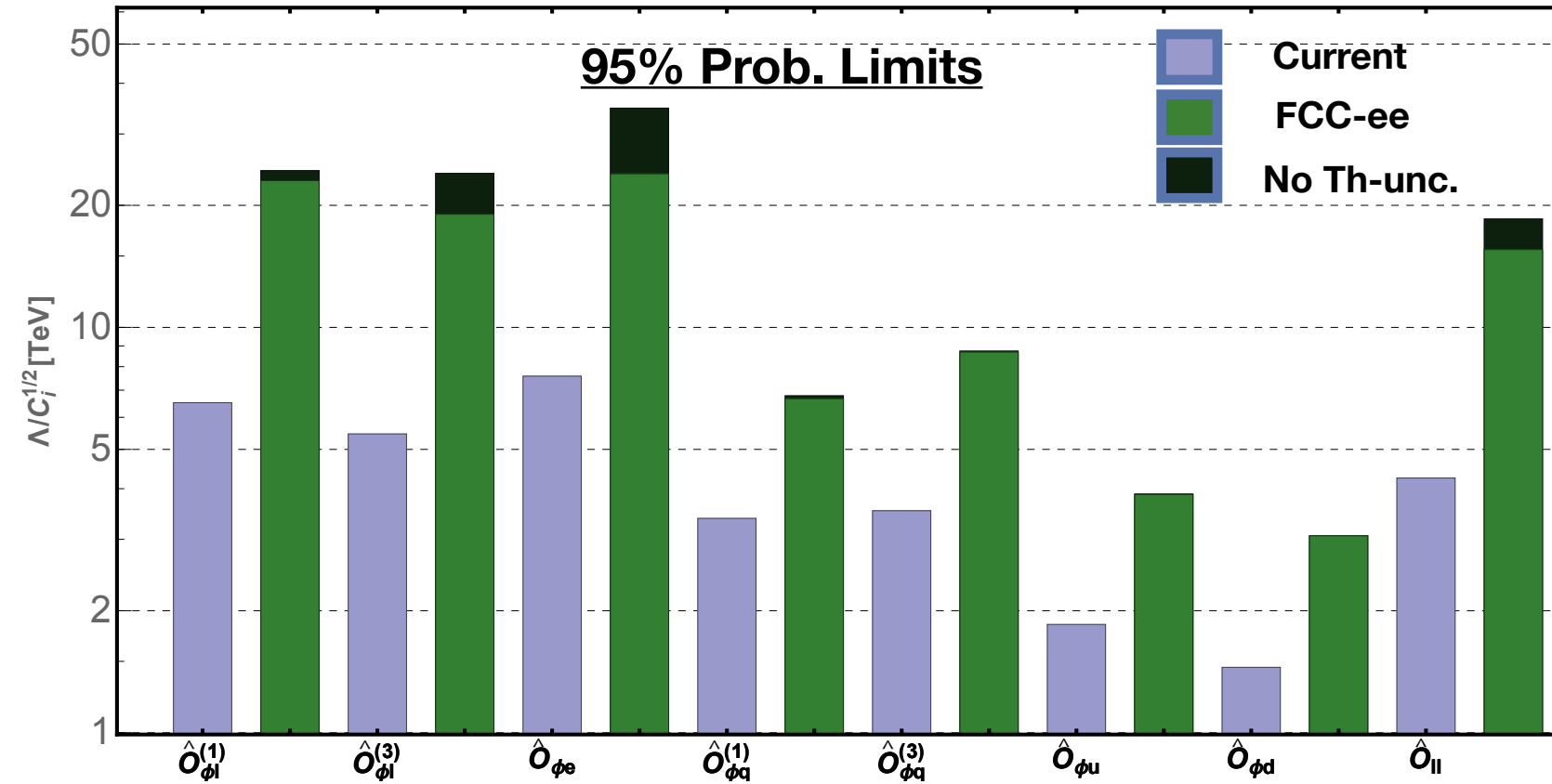
Observable	present value $\pm$ error	FCC-ee <b>Stat.</b>	FCC-ee Syst.	Comment and leading exp. error
$m_Z$ (keV)	$91186700 \pm 2200$	<b>4</b>	100	From Z line shape scan Beam energy calibration
$\Gamma_Z$ (keV)	$2495200 \pm 2300$	<b>4</b>	25	From Z line shape scan Beam energy calibration
$\sin^2 \theta_W^{\text{eff}} (\times 10^6)$	$231480 \pm 160$	<b>2</b>	2.4	from $A_{\text{FB}}^{\mu\mu}$ at Z peak Beam energy calibration
$1/\alpha_{\text{QED}}(m_Z^2)(\times 10^3)$	$128952 \pm 14$	<b>3</b>	small	from $A_{\text{FB}}^{\mu\mu}$ off peak QED&EW errors dominate
$R_\ell^Z (\times 10^3)$	$20767 \pm 25$	<b>0.06</b>	0.2-1	ratio of hadrons to leptons <b>acceptance for leptons</b>
$\alpha_s(m_Z^2) (\times 10^4)$	$1196 \pm 30$	<b>0.1</b>	0.4-1.6	from $R_\ell^Z$ above
$\sigma_{\text{had}}^0 (\times 10^3)$ (nb)	$41541 \pm 37$	<b>0.1</b>	4	peak hadronic cross section luminosity measurement
$N_\nu (\times 10^3)$	$2996 \pm 7$	<b>0.005</b>	1	Z peak cross sections Luminosity measurement
$R_b (\times 10^6)$	$216290 \pm 660$	<b>0.3</b>	$< 60$	ratio of $b\bar{b}$ to hadrons stat. extrapol. from SLD
$A_{\text{FB},0}^b (\times 10^4)$	$992 \pm 16$	<b>0.02</b>	1-3	b-quark asymmetry at Z pole from jet charge
$A_{\text{FB}}^{\text{pol},\tau} (\times 10^4)$	$1498 \pm 49$	<b>0.15</b>	$< 2$	$\tau$ polarization asymmetry $\tau$ decay physics
$\tau$ lifetime (fs)	$290.3 \pm 0.5$	<b>0.001</b>	0.04	radial alignment
$\tau$ mass (MeV)	$1776.86 \pm 0.12$	<b>0.004</b>	0.04	momentum scale
$\tau$ leptonic ( $\mu\nu_\mu\nu_\tau$ ) B.R. (%)	$17.38 \pm 0.04$	<b>0.0001</b>	0.003	$e/\mu$ /hadron separation
$m_W$ (MeV)	$80350 \pm 15$	<b>0.25</b>	0.3	From WW threshold scan Beam energy calibration
$\Gamma_W$ (MeV)	$2085 \pm 42$	1.2	0.3	From WW threshold scan Beam energy calibration
$\alpha_s(m_W^2)(\times 10^4)$	$1170 \pm 420$	<b>3</b>	small	from $R_\ell^W$
$N_\nu (\times 10^3)$	$2920 \pm 50$	<b>0.8</b>	small	ratio of invis. to leptonic in radiative Z returns
$m_{\text{top}}$ (MeV/ $c^2$ )	$172740 \pm 500$	<b>17</b>	small	From $t\bar{t}$ threshold scan QCD errors dominate
$\Gamma_{\text{top}}$ (MeV/ $c^2$ )	$1410 \pm 190$	45	small	From $t\bar{t}$ threshold scan QCD errors dominate
$\lambda_{\text{top}}/\lambda_{\text{top}}^{\text{SM}}$	$1.2 \pm 0.3$	<b>0.10</b>	small	From $t\bar{t}$ threshold scan QCD errors dominate
ttZ couplings	$\pm 30\%$	0.5 – 1.5%	small	From $\sqrt{s} = 365$ GeV run

# EW Precision Measurements at FCC-ee

Blondel, Janot, 'to appear

# Impact of TH uncertainties

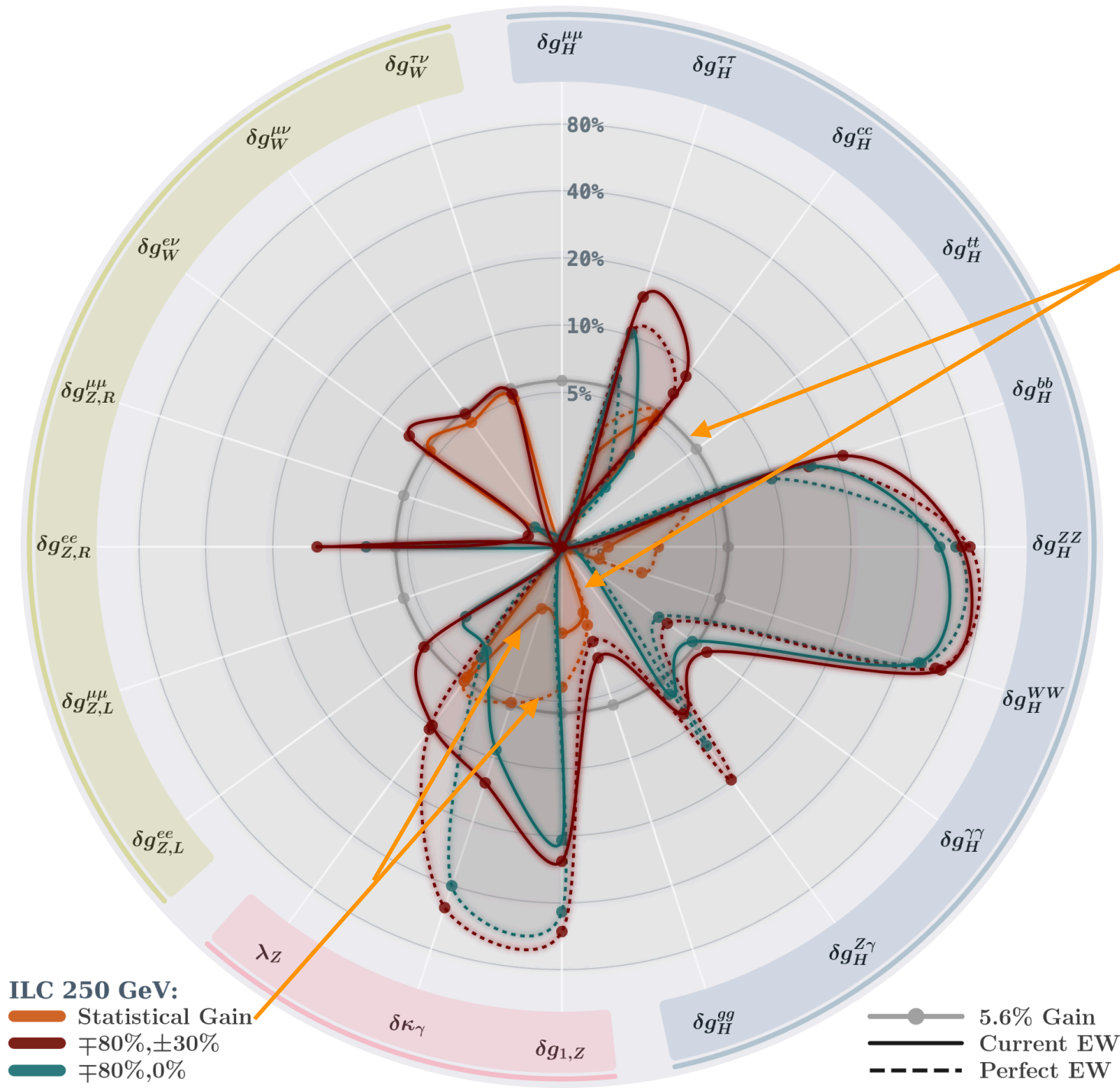
J. de Blas, FCC CDR overview '19



	Current		FCCee		
	Exp.	SM	Exp.	SM (par.)	SM (th.)
$\delta M_W$ [MeV]	$\pm 15$	$\pm 8$	$\pm 1$	$\pm 0.6/\pm 1$	$\pm 1$
$\delta \Gamma_Z$ [MeV]	$\pm 2.3$	$\pm 0.73$	$\pm 0.1$	$\pm 0.1$	$\pm 0.2$
$\delta \mathcal{A}_\ell$ [ $\times 10^{-5}$ ]	$\pm 210$	$\pm 93$	$\pm 2.1$	$\pm 8/\pm 14$	$\pm 11.8$
$\delta R_b^0$ [ $\times 10^{-5}$ ]	$\pm 66$	$\pm 3$	$\pm 6$	$\pm 0.3$	$\pm 5$

# Impact of Beam Polarisation (@250GeV)

J. De Blas et al. 1907.04311



Statistical gain from increased rates

$$\sigma_{P_{e^+}P_{e^-}} = \sigma_0(1 - P_{e^+}P_{e^-}) \left[ 1 - A_{LR} \frac{P_{e^-} - P_{e^+}}{1 - P_{e^+}P_{e^-}} \right]$$

From  $ee \rightarrow Zh$ ,  $A_{LR} \sim 0.15$  so  $\sigma_{-80, +30} \sim 1.4 \sigma_0$

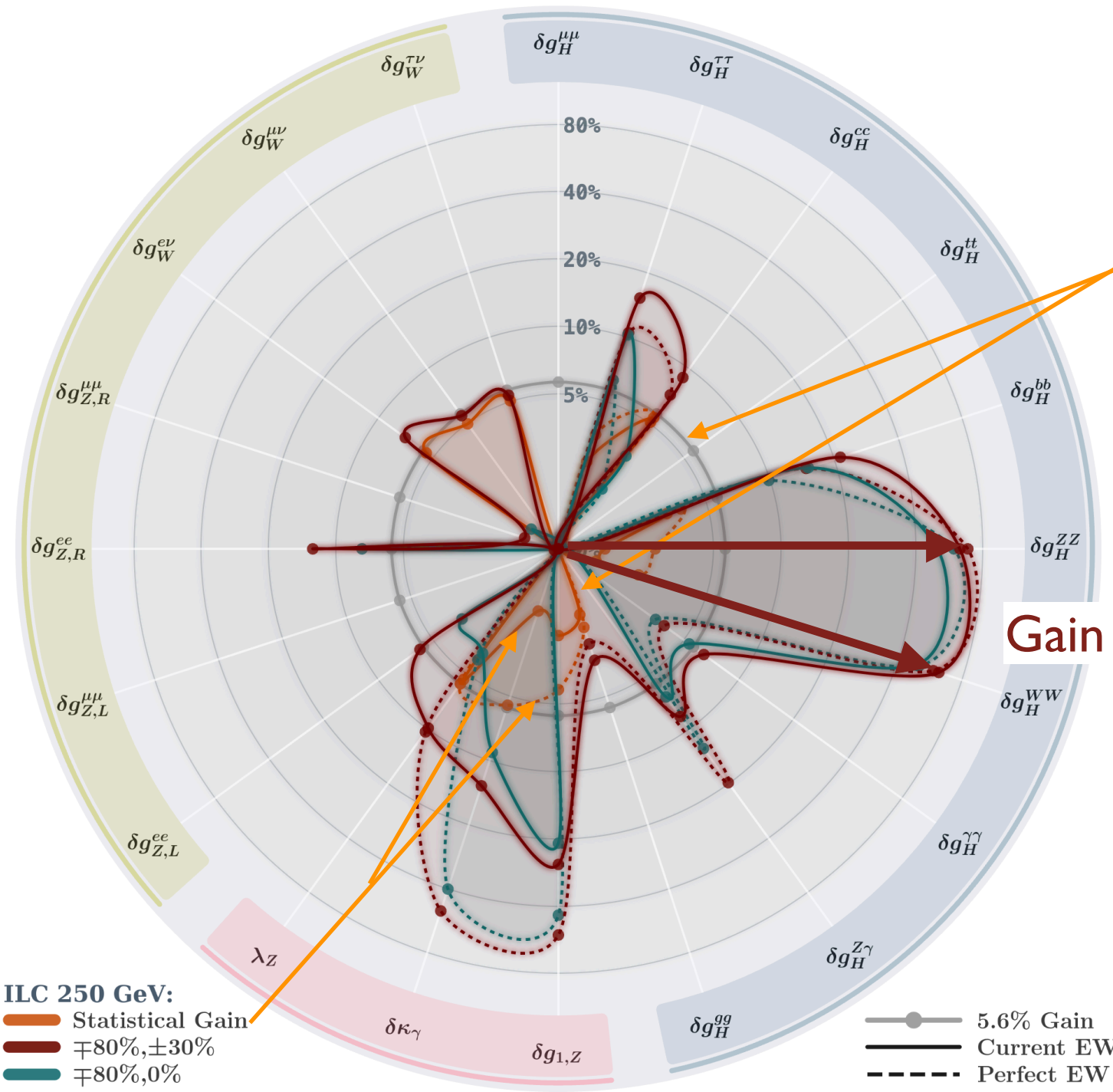
overall, one could expect  
O(6%) increased coupling sensitivity

increased sensitivities Polarised vs. Unpolarised scenarios @ 250GeV



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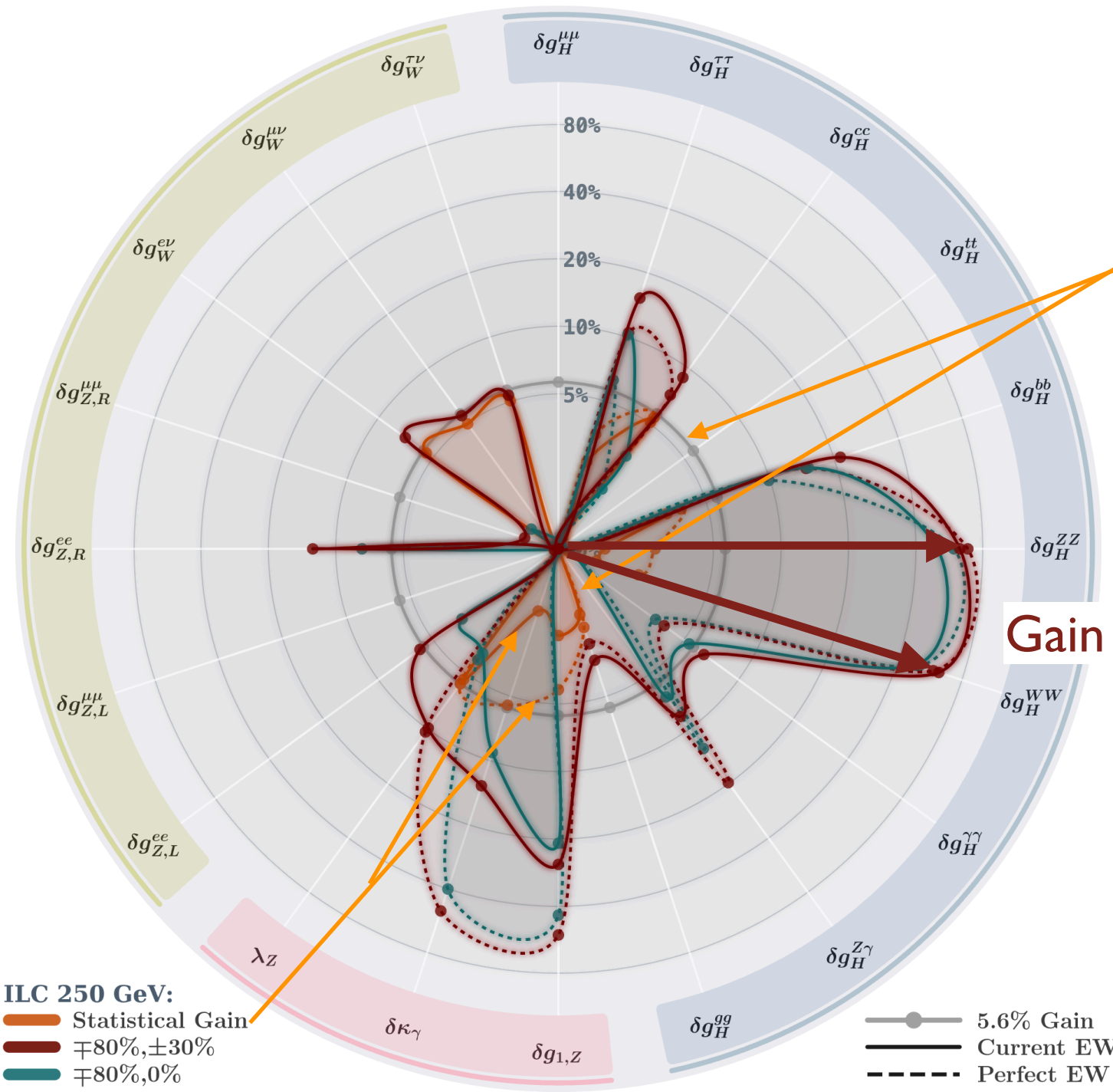
Gain reaches 80%

Gain is much higher in global EFT fit  
 since polarisation removes  
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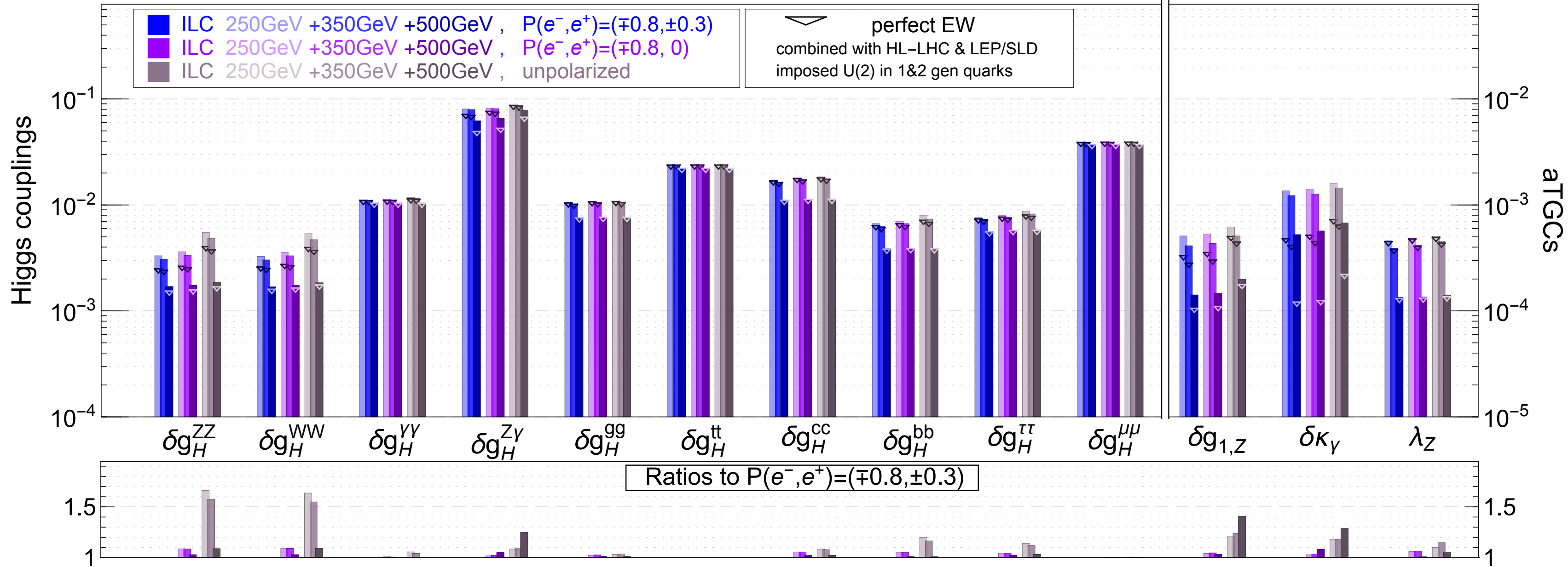
Gain is much higher in global EFT fit  
since polarisation removes  
degeneracies among operators

Polarisation benefit diminishes  
when other runs at higher energies are added  
and basically left only with statistical gain

increased sensitivities Polarised vs. Unpolarised scenarios @ 250GeV

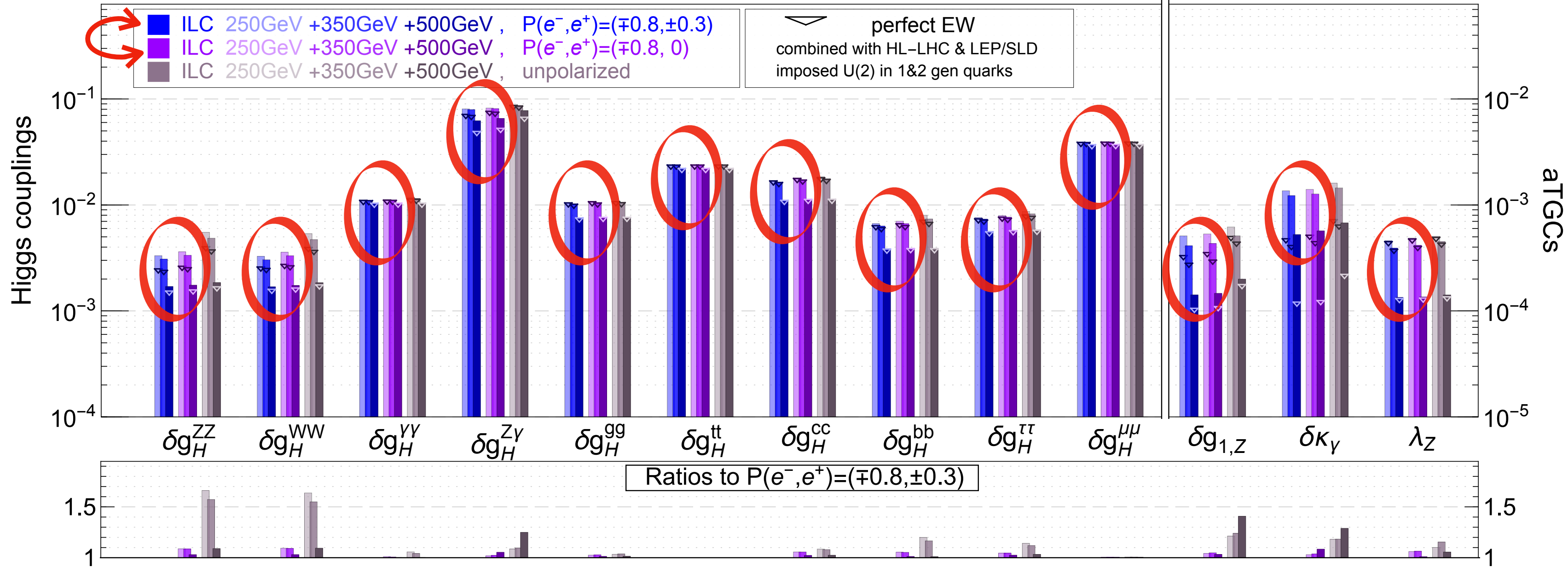
# Impact of Beam Polarisation

J. De Blas et al. 1907.04311



# Impact of Beam Polarisation

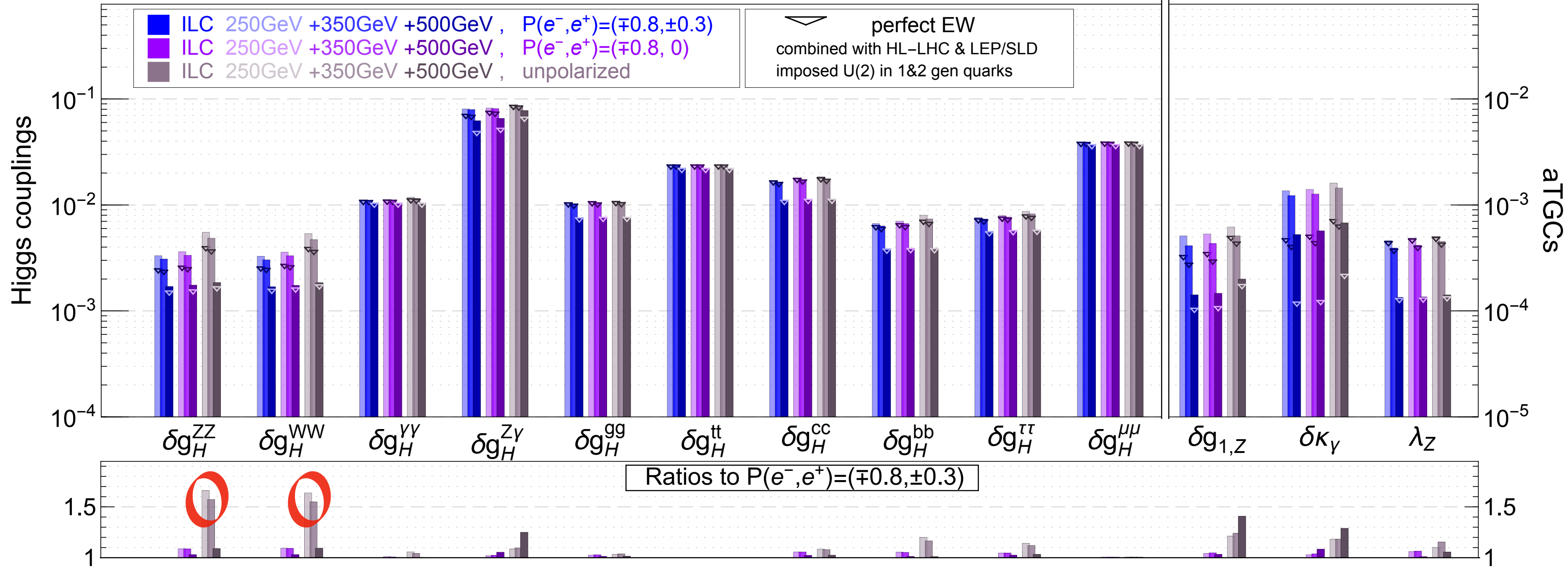
J. De Blas et al. 1907.04311



• Positron polarisation doesn't play a big role (for Higgs couplings determination)

# Impact of Beam Polarisation

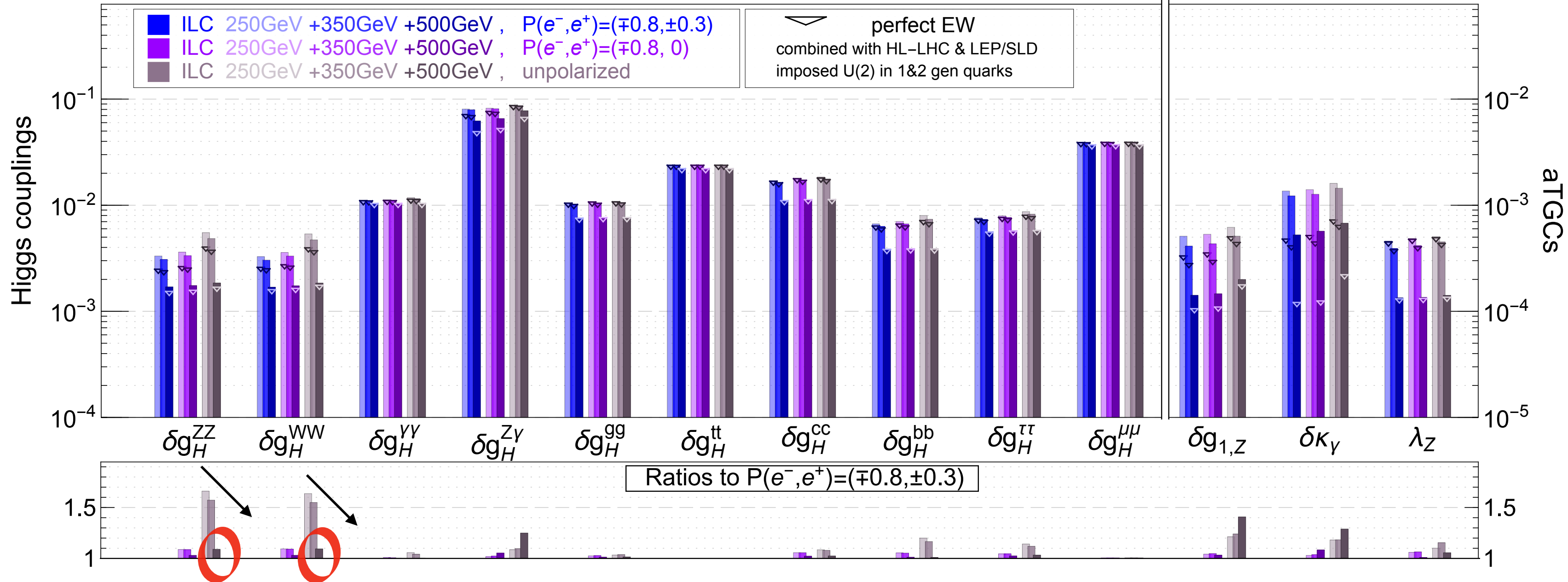
J. De Blas et al. 1907.04311



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- If 250GeV run only: electron polarisation improves significantly (>50%) hVV determination

# Impact of Beam Polarisation

J. De Blas et al. 1907.04311



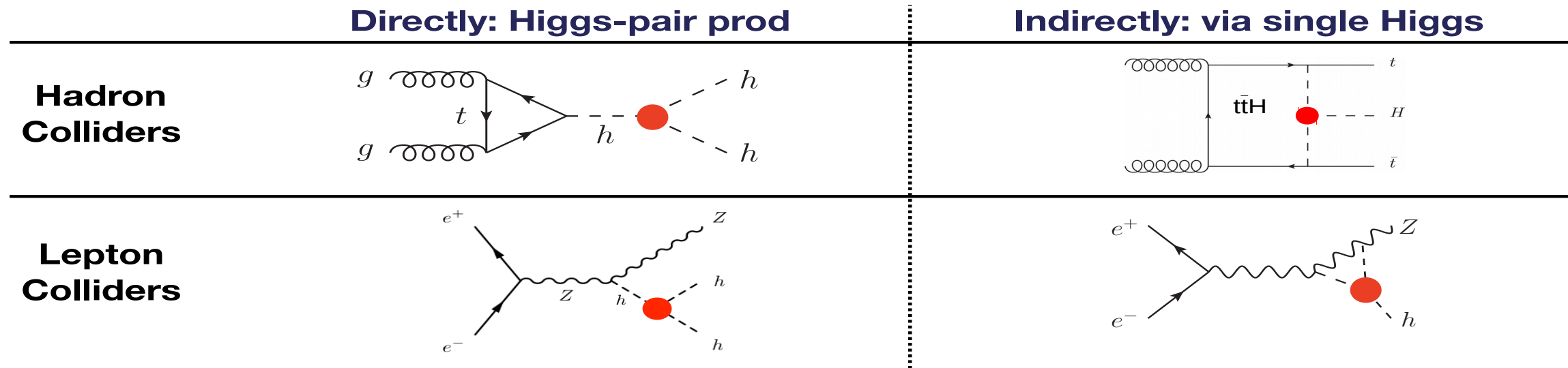
- Positron polarisation doesn't play a big role (for Higgs couplings determination)
- If 250GeV run only: electron polarisation improves significantly (>50%) hVV determination
- Polarisation-benefit diminishes (in relative and absolute terms) when other runs at higher energies are added

# Higgs Self-Coupling

Higgs self-couplings is very interesting for a multitude of reasons  
(vacuum stability, hierarchy, baryogenesis, GW, EFT probe...).

How much can it deviate from SM given the tight constraints on other Higgs couplings?  
Do you need to reach HH production threshold to constrain  $h^3$  coupling?

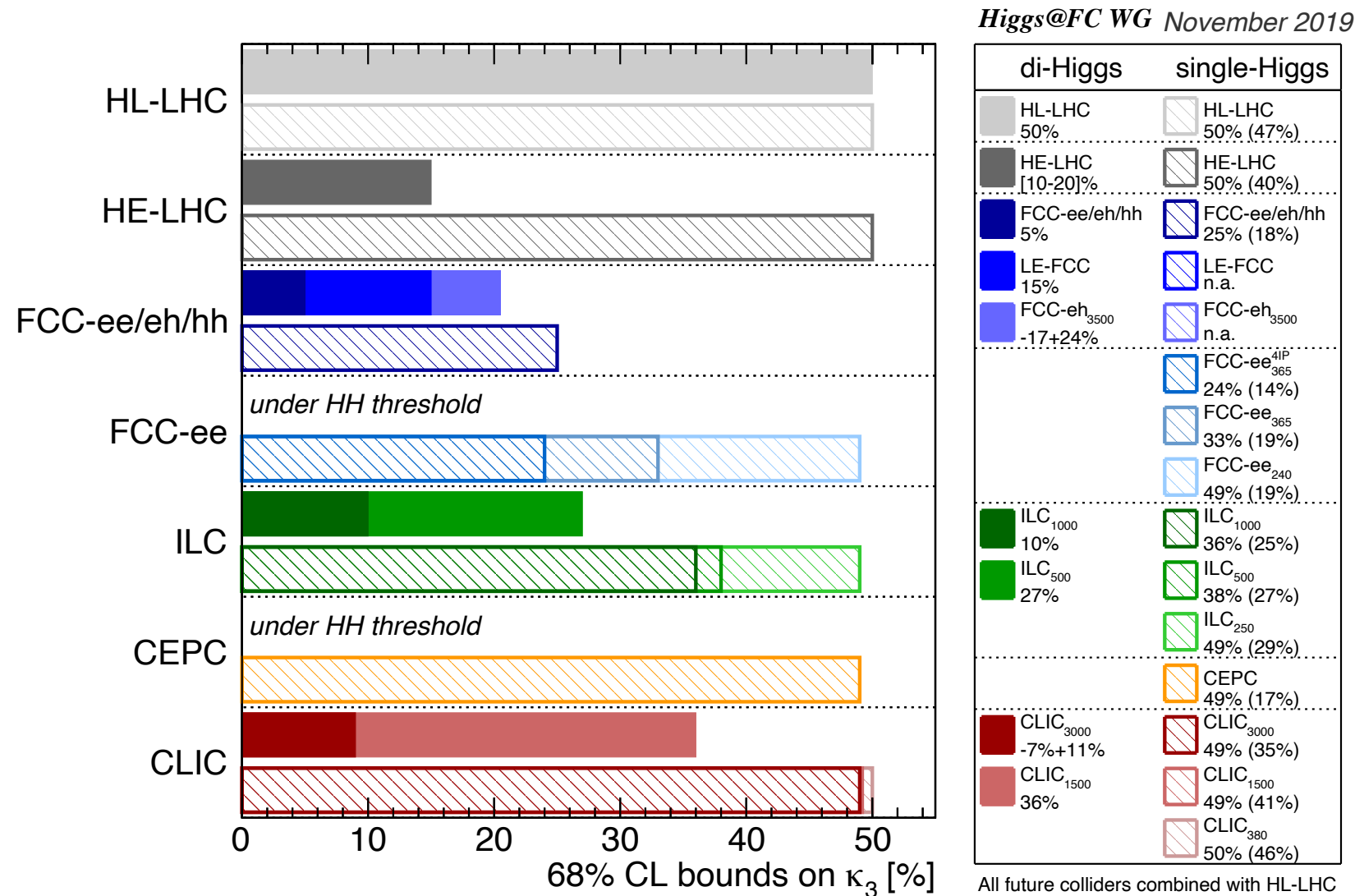
ECFA Higgs study group '19



	di-Higgs	single-H
exclusive	<p><b>1. di-H, excl.</b></p> <ul style="list-style-type: none"> <li>• Use of <math>\sigma(\text{HH})</math></li> <li>• only deformation of <math>\kappa\lambda</math></li> </ul>	<p><b>3. single-H, excl.</b></p> <ul style="list-style-type: none"> <li>• single Higgs processes at higher order</li> <li>• only deformation of <math>\kappa\lambda</math></li> </ul>
global	<p><b>2. di-H, glob.</b></p> <ul style="list-style-type: none"> <li>• Use of <math>\sigma(\text{HH})</math></li> <li>• deformation of <math>\kappa\lambda</math> + of the single-H couplings</li> <li>(a) do not consider the effects at higher order of <math>\kappa\lambda</math> to single H production and decays</li> <li>(b) these higher order effects are included</li> </ul>	<p><b>4. single-H, glob.</b></p> <ul style="list-style-type: none"> <li>• single Higgs processes at higher order</li> <li>• deformation of <math>\kappa\lambda</math> + of the single Higgs couplings</li> </ul>

# Higgs Self-Coupling

ECFA Higgs study group '19



1

Don't need to reach HH threshold to have access to  $h^3$ .  
Z-pole run is very important if the HH threshold cannot be reached

2

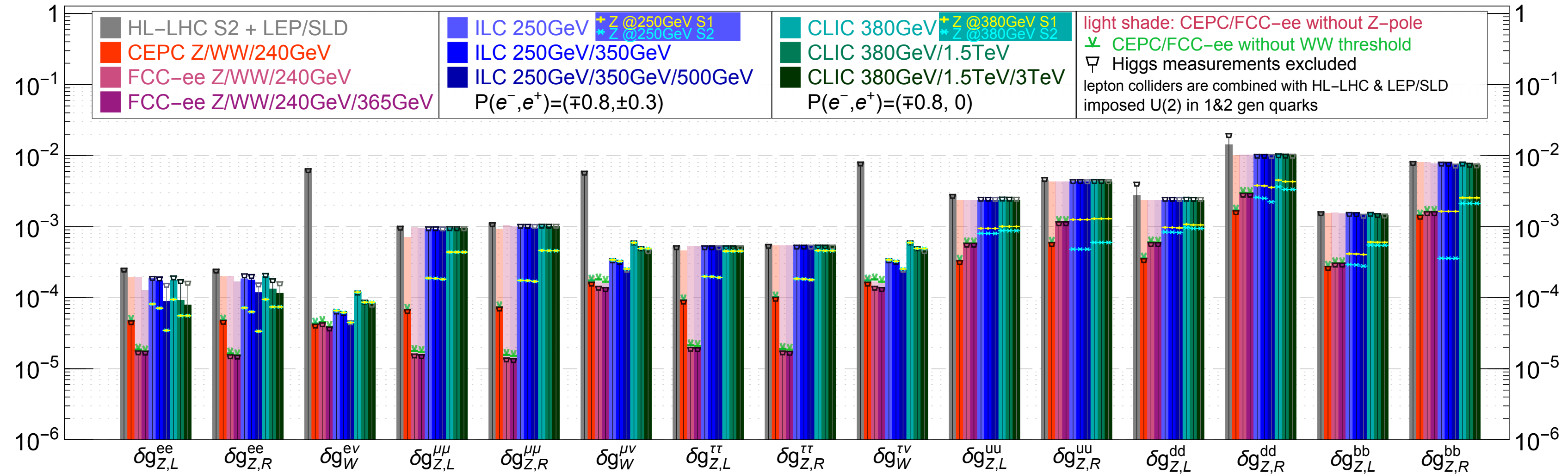
The determination of  $h^3$  at FCC-hh relies on HH channel, for which FCC-ee is of little direct help. But the extraction of  $h^3$  requires precise knowledge of  $y_t$ .  
 $1\% y_t \leftrightarrow 5\% h^3$   
Precision measurement of  $y_t$  needs ee

**50% sensitivity:** establish that  $h^3 \neq 0$  at 95%CL  
**20% sensitivity:**  $5\sigma$  discovery of the SM  $h^3$  coupling  
**5% sensitivity:** getting sensitive to quantum corrections to Higgs potential



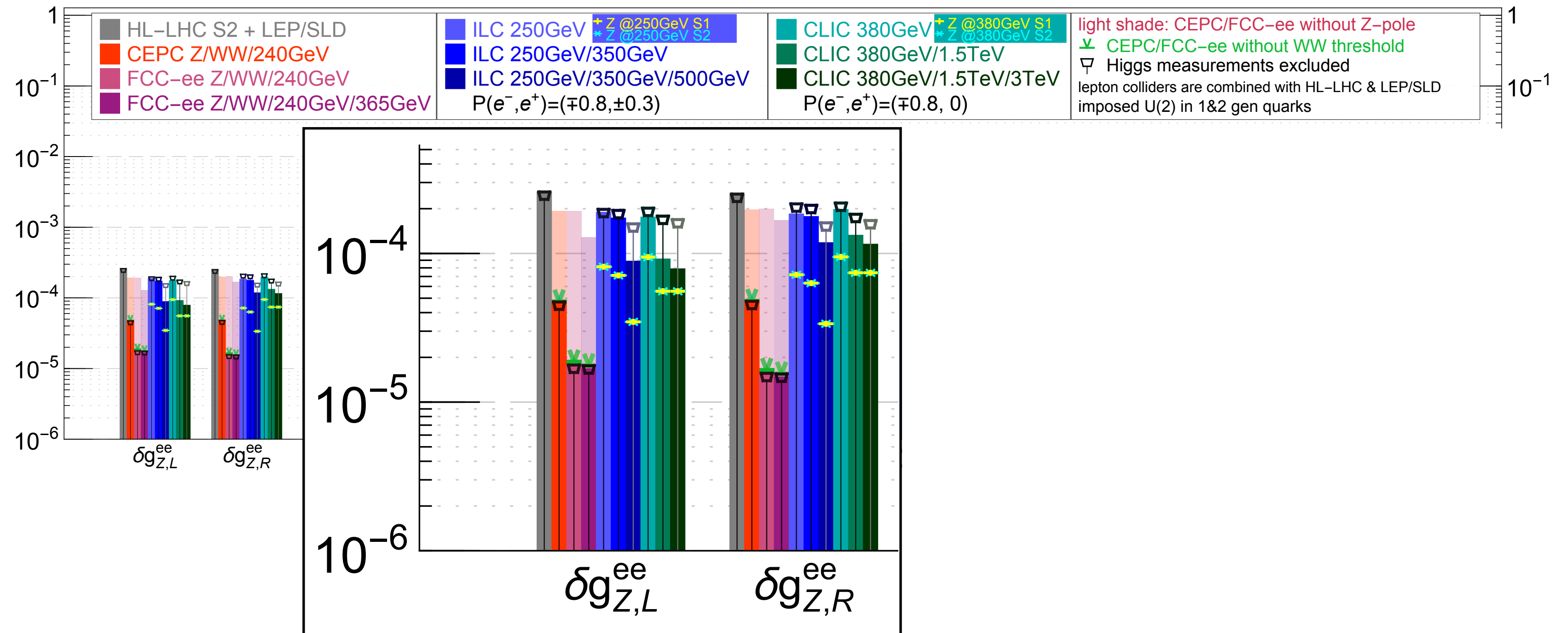
# Sensitivity on EW couplings

J. De Blas, G. Durieux, C. Grojean, J. Gu, A. Paul 1907.04311



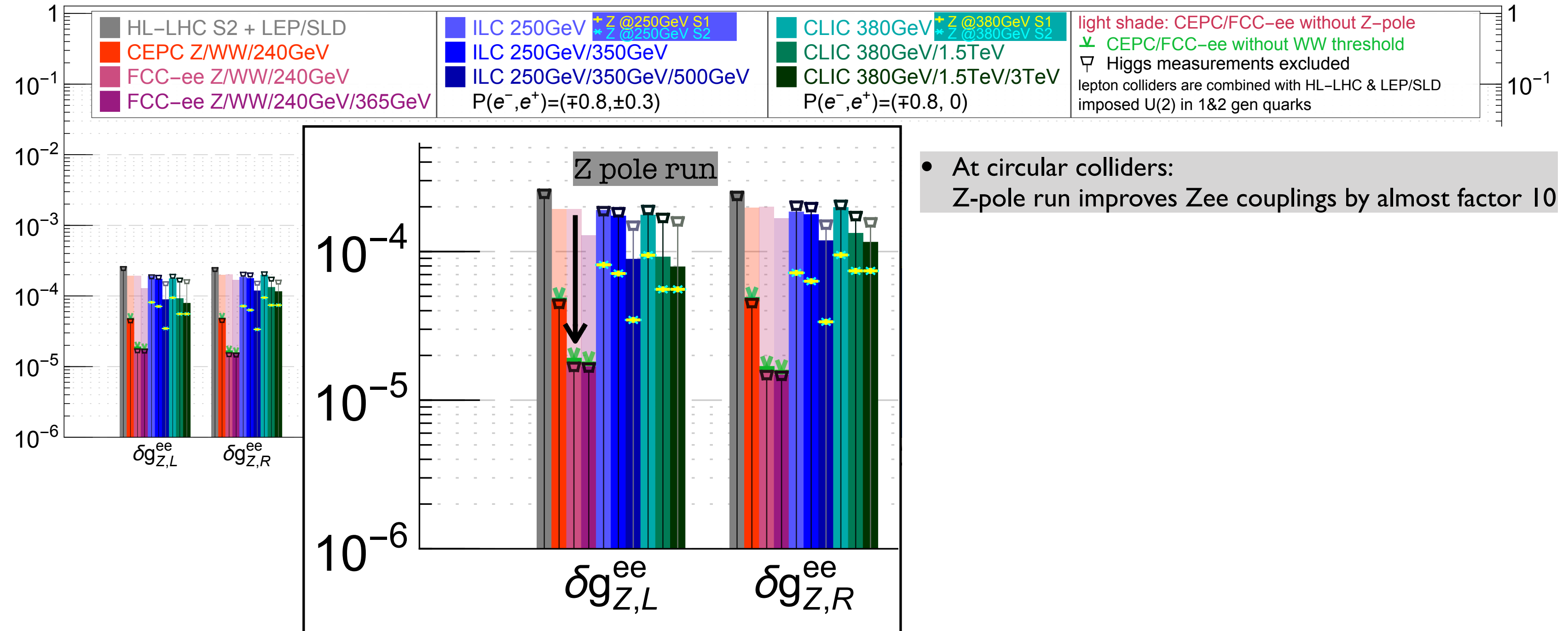
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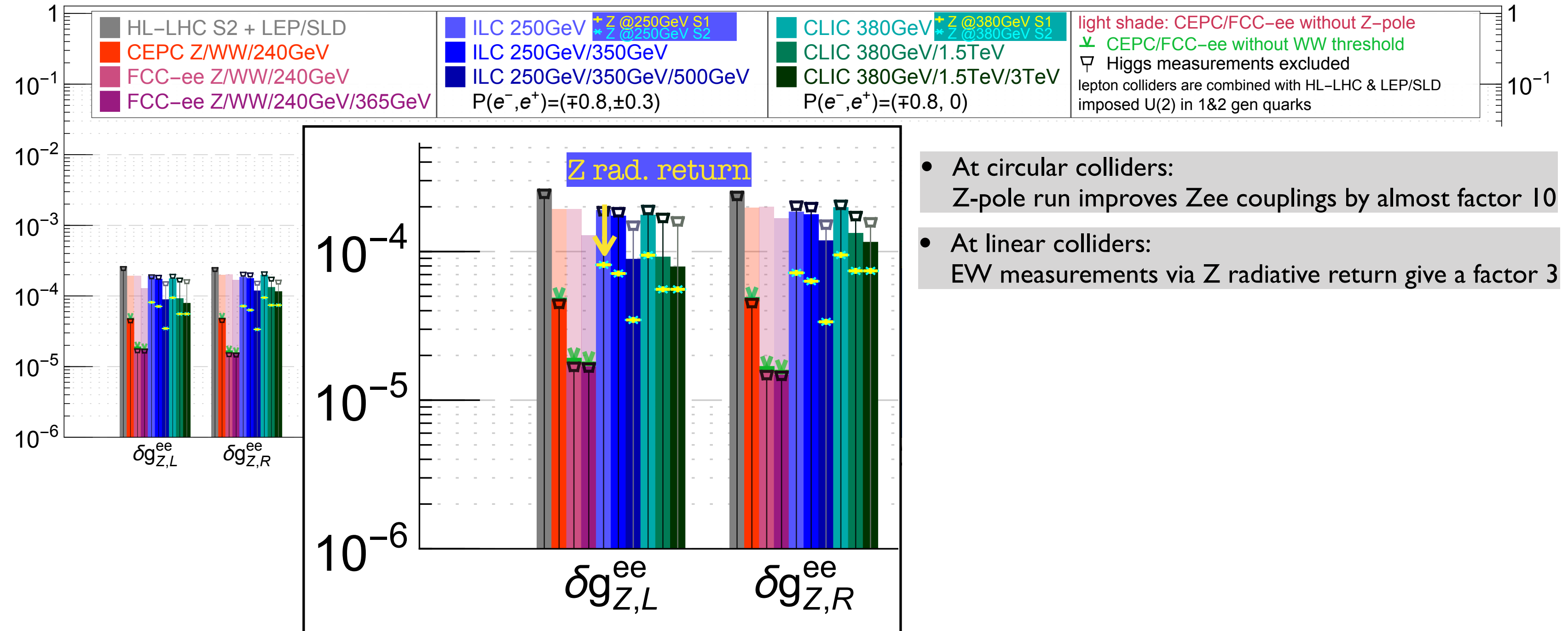
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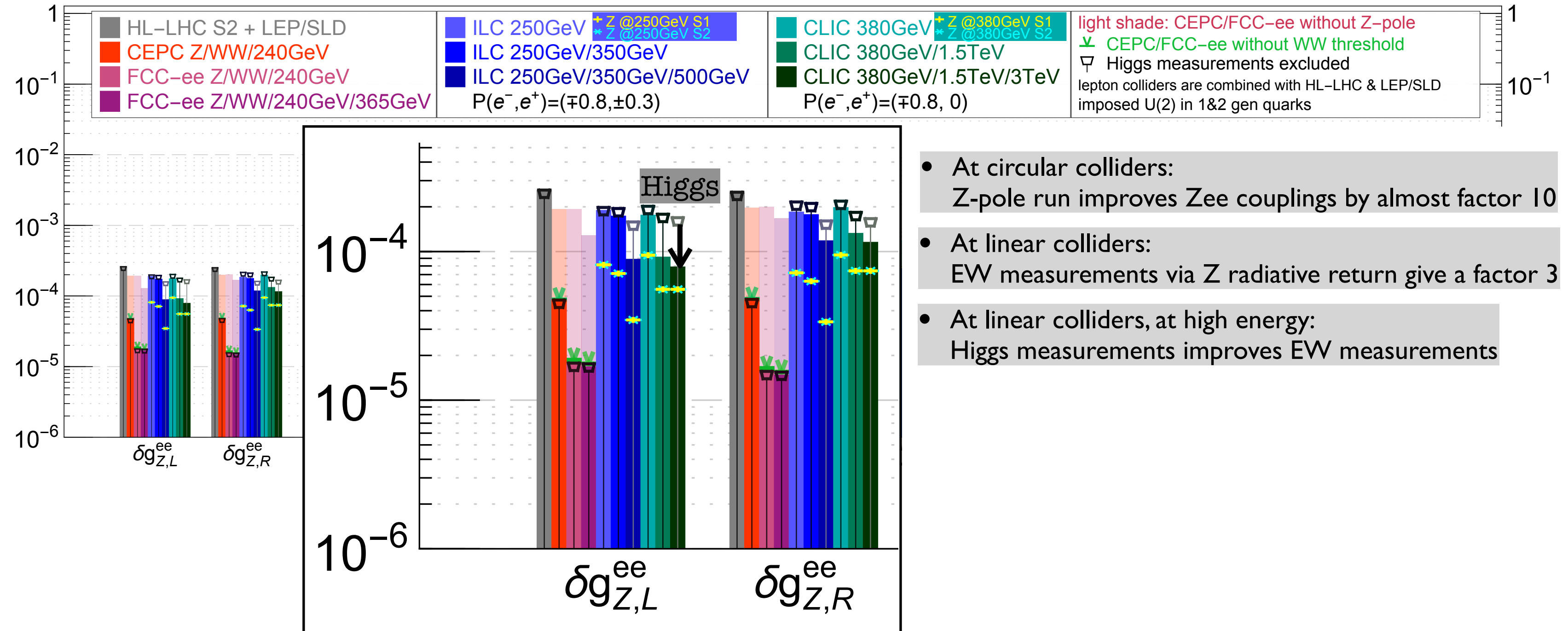
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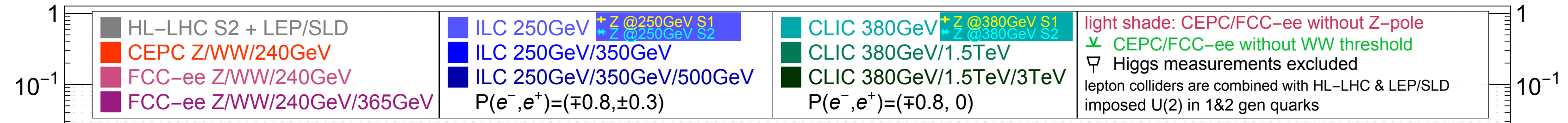
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J. De Blas, G. Durieux, C. Grojean, J. Gu, A. Paul 1907.04311

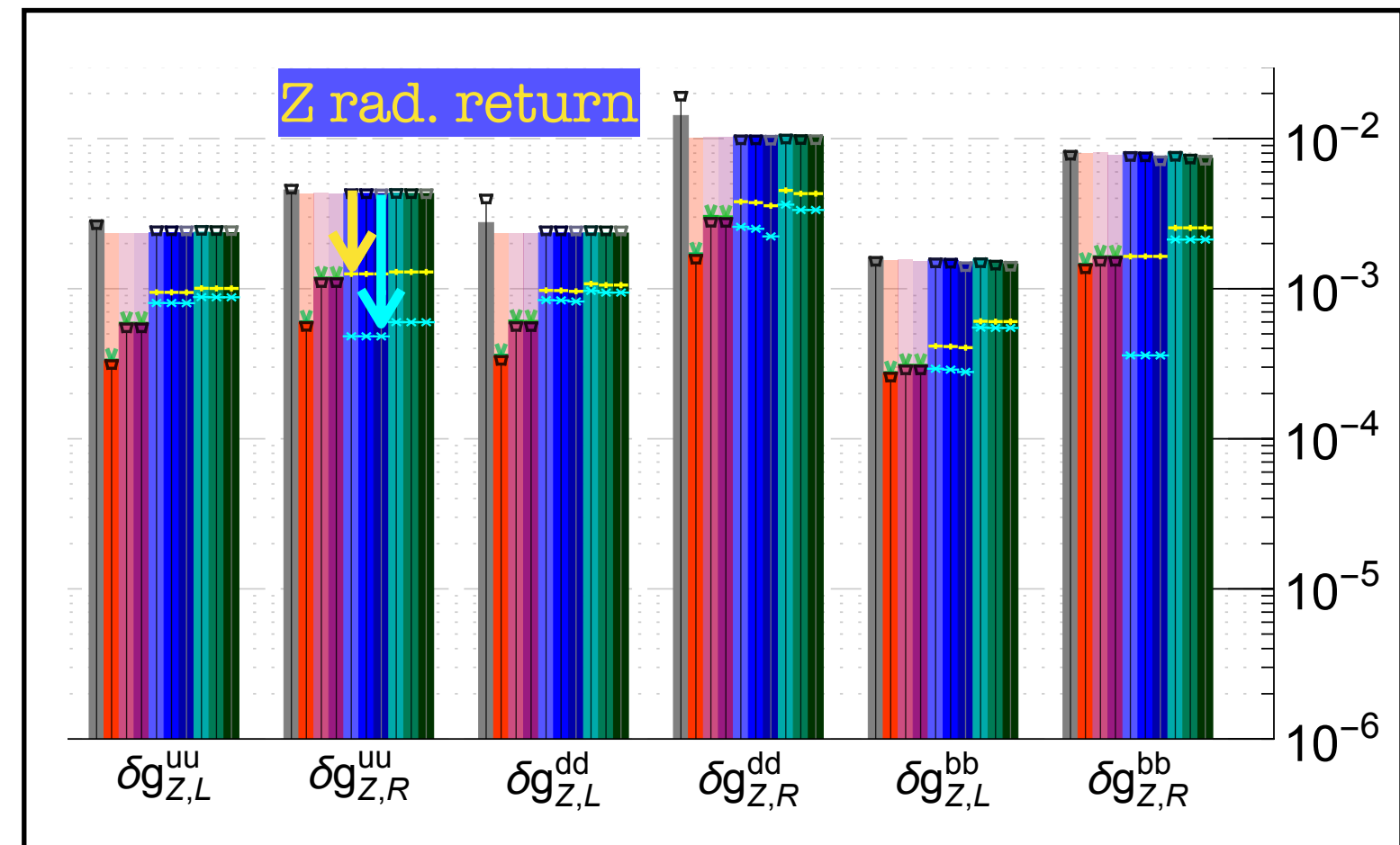


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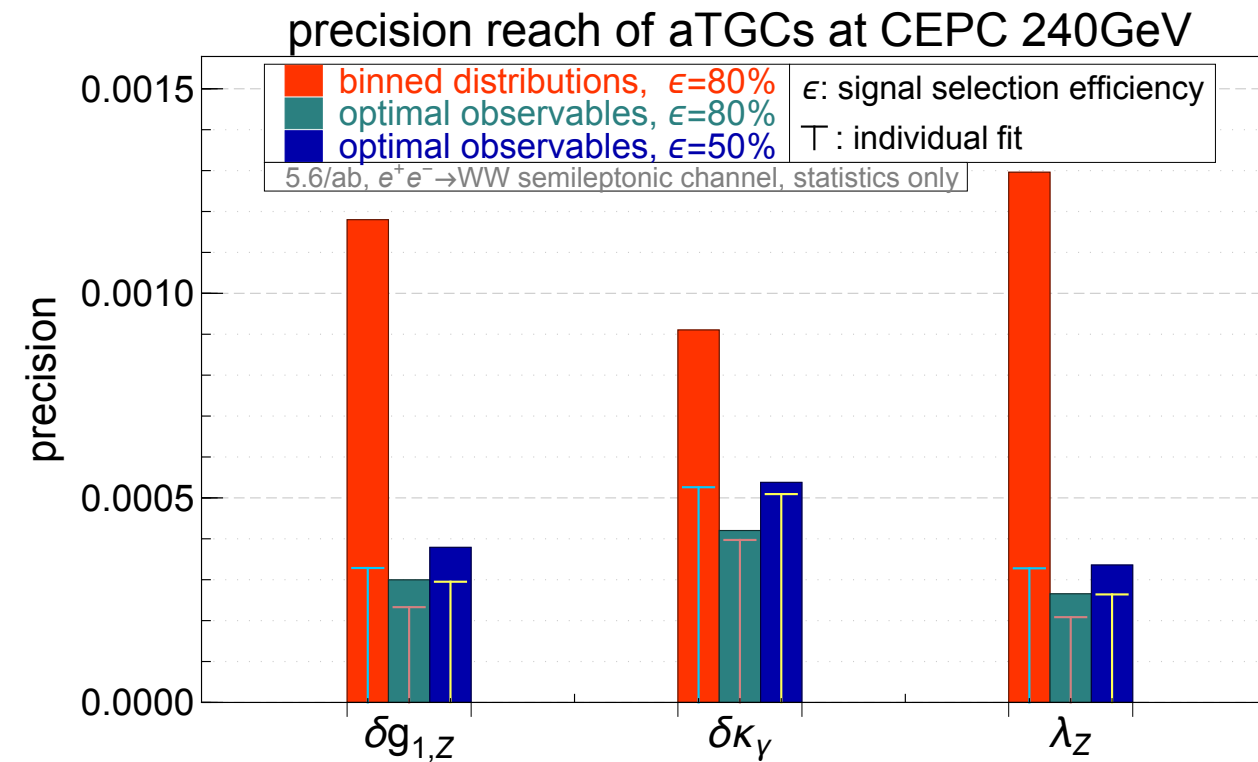


- At linear colliders, at high energy: EW measurements via Z-radiative return has a large impact on  $Zq\bar{q}$  couplings
- Improvements depend a lot on hypothesis on systematic uncertainties
  - Yellow: LEP/SLD systematics / 2
  - Blue: small EXP and TH systematics

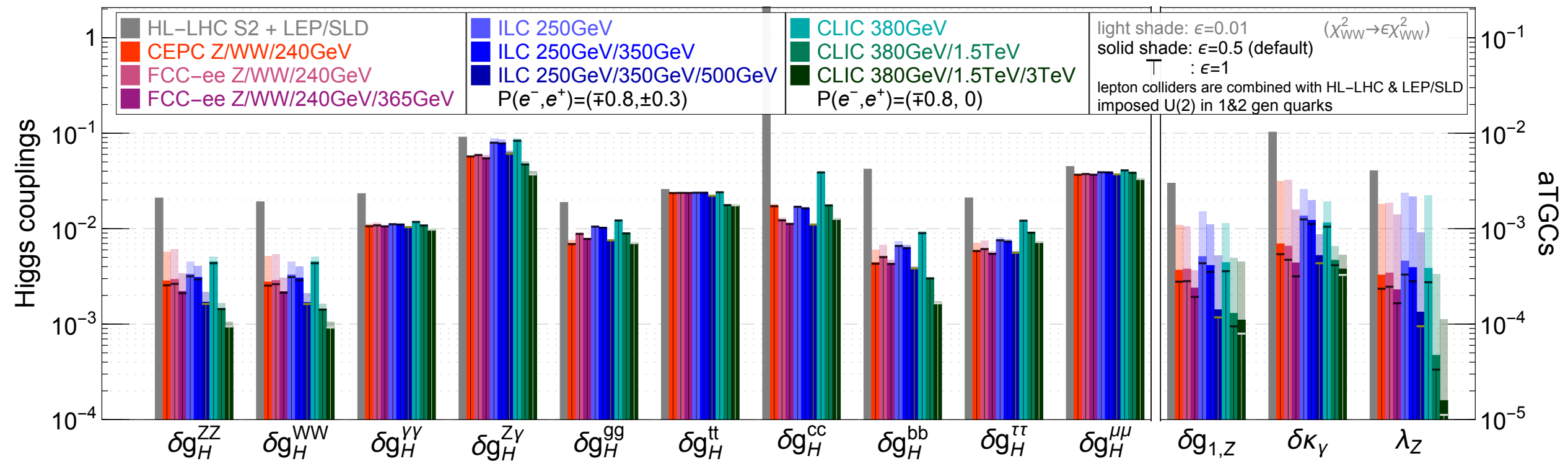


# Impact of Diboson Systematics

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precision reach with different assumptions on  $e^+e^- \rightarrow WW$  measurements



# CP Violation in Higgs Sector

Is CP a good symmetry of Nature? 2 CP-violating couplings in the SM<sub>4</sub>.

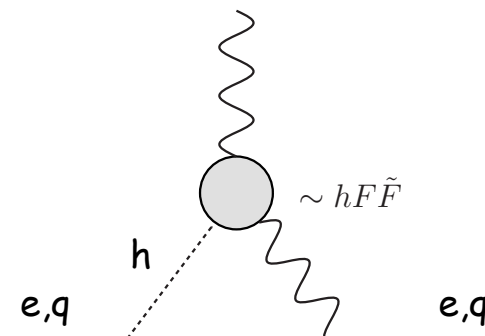
SM<sub>6</sub> has many more CPV couplings: 1149 CPV couplings (incl. 1014 Four-Fermi ones)

LHC is getting sensitive to them ( $|\theta_{thh}| < 43^\circ$  &  $\theta_{\tau\tau} = (4 \pm 17)^\circ$ ), but not competitive with EDM

## operators with $\gamma$ :

already severely constrained  
by e and q EDMs

McKeen, Pospelov, Ritz '12



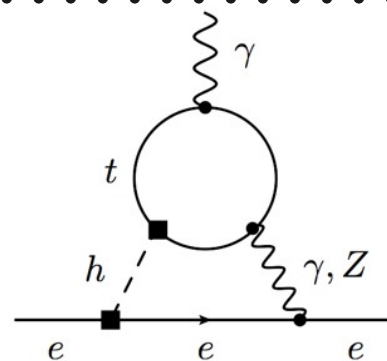
$$\tilde{\kappa}_{\gamma\gamma} \sim \tilde{\kappa}_{\gamma Z} \leq 10^{-4}$$

$$\Lambda_{\text{CPV}} > 25 \text{ TeV}$$

## operators with top:

already severely constrained  
by e and q EDMs

Brod, Haisch, Zupan '13



$$\delta\tilde{g}_{htt} \leq 0.01$$

$$\Lambda_{\text{CPV}} > 2.5 \text{ TeV}$$

Caveats: h couplings to light particles can be significantly reduced

Not mature topic yet: next step is e.g. to develop STXS that are CP-odd  
often need double differential distributions because of non-interference with SM



# CP Violation in Higgs Sector

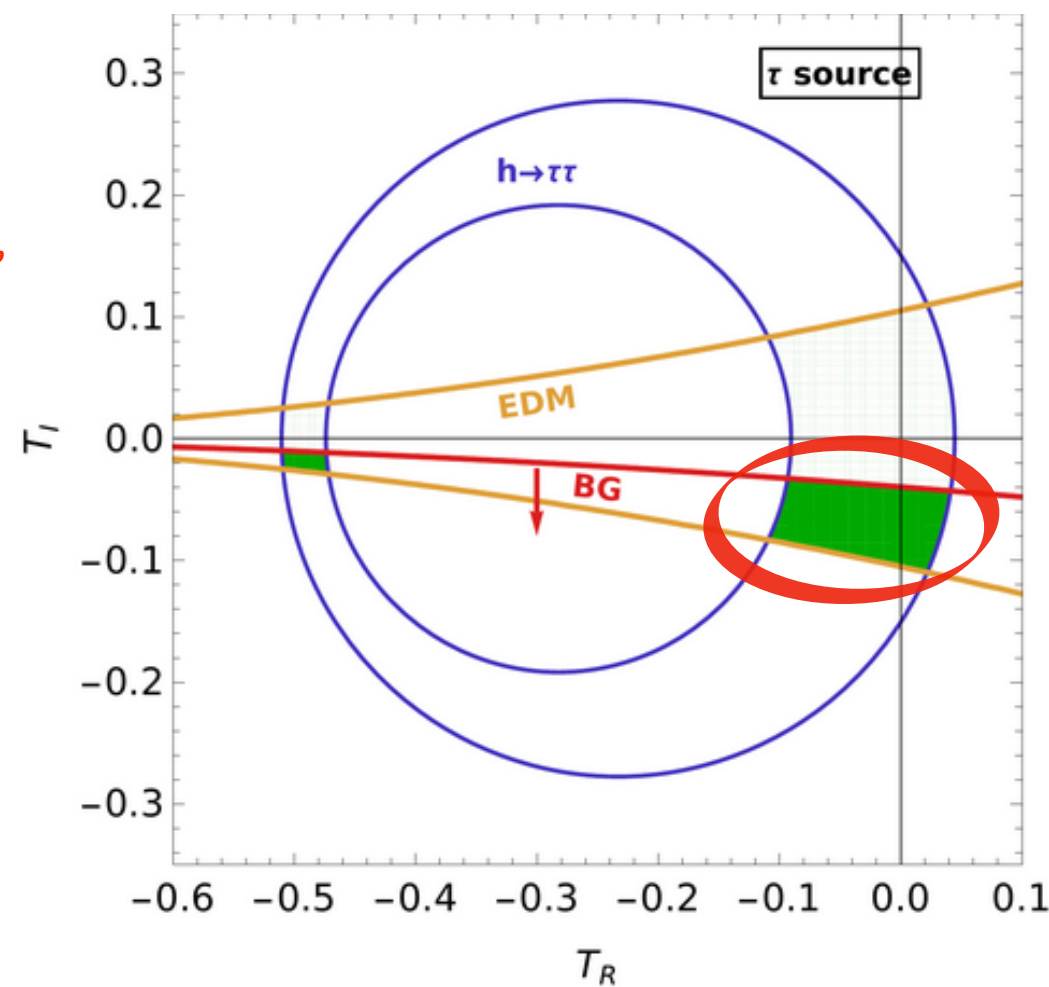
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Despite tighter and tighter constraints, CPV Yukawa could still be the source of EW baryogenesis

Fuchs et al. '20  
see also  
de Vries et al. '17



sufficient baryon  
asymmetry within  
LHC & EDM limits?  
τ: yes  
t, b, μ: no  
↑ EDM    μ(h → μμ) < 1.7

EFT Cut-off scales  $\Lambda / \sqrt{X_{R,I}}$   
Minimal scales    maximally allowed T (collider, EDM)  
τ, b: 1 - 3 TeV; t: 1 TeV (LHC), 9 TeV (EDM)  
μ: 10 - 12 TeV  
Maximal scales    minimally required T<sub>1</sub> (EWBG)  
 $\Lambda / \sqrt{X_I} \lesssim 18 \text{ TeV } (0.01/T_I^T)^{1/2}$

— continue the exploration, especially in the tau sector —

# CP Violation in Higgs Sector

Searching for source of CPV that can trigger matter-antimatter imbalance

SM: only 1 CPV invariant (Jarlskog)

BSM: 707 new sources of CPV at leading order

CPV is a Collective effect: CPV is accidentally small in the SM

SM: 
$$J_4 = \text{Im Tr} \left( [Y_u Y_u^\dagger, Y_d Y_d^\dagger]^3 \right) \sim \lambda^{36} \sim 10^{-24}$$

BSM:  
(dim.6 Yukawa)

$$L_1^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger]$$

$$L_2^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_u]$$

$$L_3^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_d]$$

$$L_4^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_u X_d]$$

$$L_5^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_d X_u]$$

$$L_6^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_u^2 X_d^2]$$

$$L_7^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_d^2 X_u^2]$$

$$L_8^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_u X_d^2 X_u^2]$$

$$L_9^{uH} = \text{Im Tr} [C_{uH} Y_u^\dagger X_d X_u^2 X_d^2]$$

	Generic	MFV
Rank 1	$\mathcal{O}(\lambda^0)$	$\mathcal{O}(\lambda^0)$
Rank 2	$\mathcal{O}(\lambda^4)$	$\mathcal{O}(\lambda^8)$
Rank 3	$\mathcal{O}(\lambda^8)$	$\mathcal{O}(\lambda^{12})$

all suppressed by  $v^2/(\text{New Physics scale})^2$  but no big collective suppression

sizes of CPV sources depend on flavour symmetry of BSM interactions

Bonnefoy et al: [arXiv:2112.03889](https://arxiv.org/abs/2112.03889)

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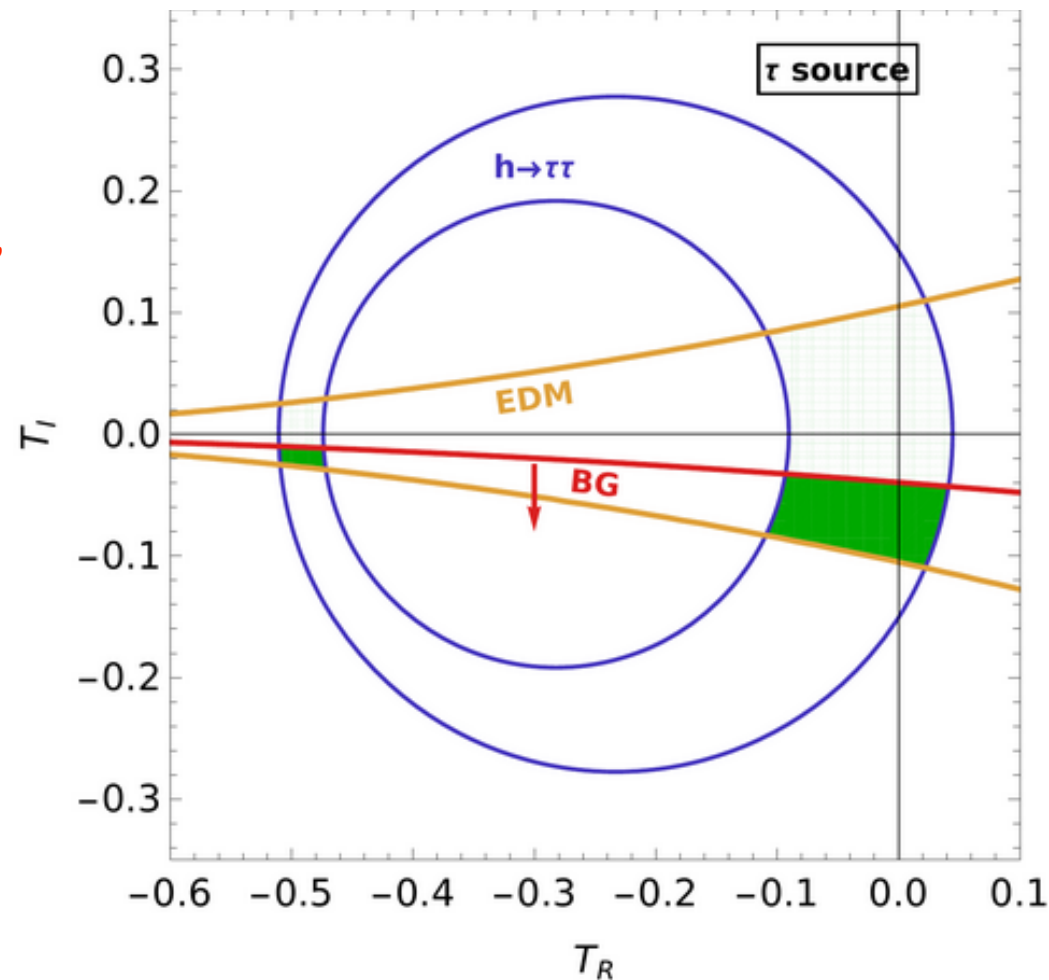
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