



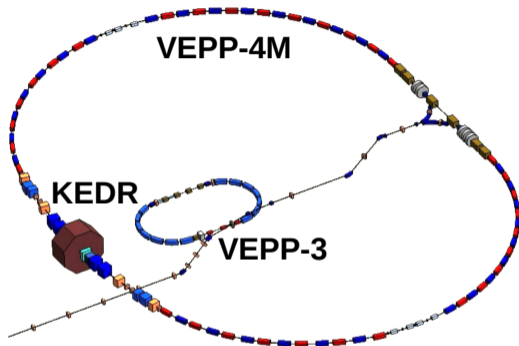
The VEPP-4M laser polarimeter system

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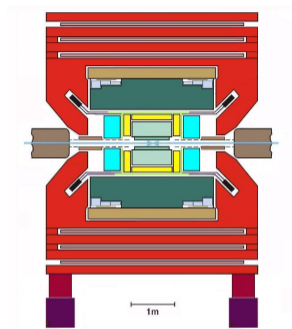
September 20, 2022

The VEPP-4M collider and the KEDR detector



e^+e^- Collider

- $E_{\max} = 5.5 \text{ GeV}$
- $\mathcal{L} = 10^{31} \text{ cm}^{-2}\text{s}^{-1}$

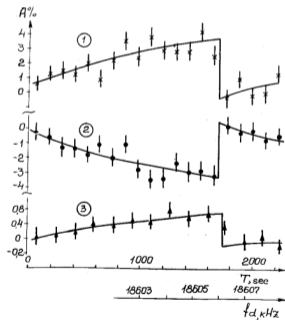


The KEDR detector

- Multipurpose particle detector
- Precise measurements of J/ψ , ψ' mesons and τ - lepton

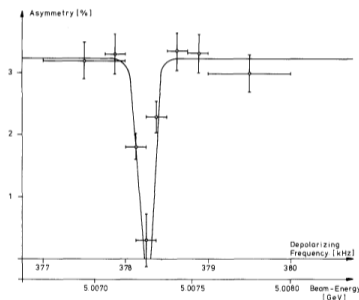
Resonant depolarization history

- 1968: RD method was introduced at BINP
- 1975: First results on absolute energy calibrations with $\delta E/E \sim 10^{-4}$



VEPP4 Event asymmetry for $e^- - \textcircled{1}$ and $e^+ - \textcircled{2}$

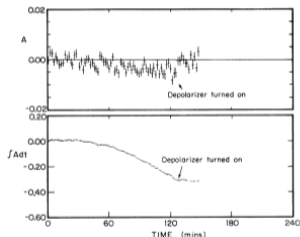
- 1983: $\Upsilon(2S)$ mass measurement by ARGUS and CB collaborations
- $\delta E/E = 4 \cdot 10^{-5}$



Depolarizing frequency scan for DORIS II collider.

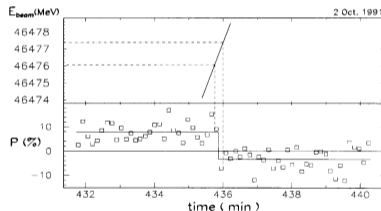
Resonant depolarization history

- 1984: CUSB collaboration measured $\Upsilon(1S)$ mass
- Relative error: $\delta E/E \simeq 1.1 \cdot 10^{-5}$



The experimentally measured time dependence of the polarization in CESR

- 1992: LEP energy measurement at Z-boson region
- Results variability was $\pm 6 \cdot 10^{-5}$



The localization of the depolarizing frequency within the sweep for the LEP collider

Motivation

- Future measurements of the Υ -meson mass and leptonic width
- Expecting **50 keV error** for $\Upsilon(1S)$ mass
- High precision energy determination at the interaction point
- Development of the laser polarimeter system

VALUE (MeV)	DOCUMENT ID	TECN	COMMENT
9460.30 ± 0.26	OUR AVERAGE	Error includes scale factor of 3.3.	
9460.51 ± 0.09 ± 0.05	¹ ARTAMONOV 2000	MD1	$e^+ e^- \rightarrow$ hadrons
9459.97 ± 0.11 ± 0.07	MACKAY 1984	REDE	$e^+ e^- \rightarrow$ hadrons
• • We do not use the following data for averages, fits, limits, etc. • •			
9460.60 ± 0.09 ± 0.05	^{2,3} BARU 1992B	REDE	$e^+ e^- \rightarrow$ hadrons
9460.59 ± 0.12	BARU 1986	REDE	$e^+ e^- \rightarrow$ hadrons
9460.6 ± 0.4	^{4,3} ARTAMONOV 1984	REDE	$e^+ e^- \rightarrow$ hadrons

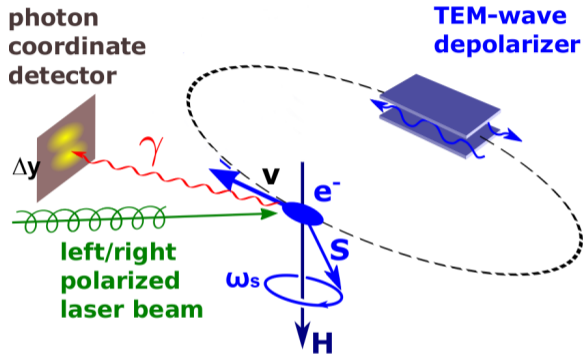
Screenshot from pdglive.lbl.gov: Υ meson mass summary

Resonant depolarization recap

- Beam polarization by Sokolov-Ternov effect: $P = G\zeta_0(1 - e^{-t/G\tau_p})$
- Applying LFM depolarizing field
- When The resonance is achieved:
 $\omega_s = k\omega_r \pm \omega_d$
- At this moment the electron beam depolarizes ($\omega_d, \omega_r \rightarrow \omega_s$)
- We extract the beam energy from the frequencies relation:

$$\omega_s = \omega_r \left(1 + \frac{q'_e E}{q_e mc^2} \right)$$

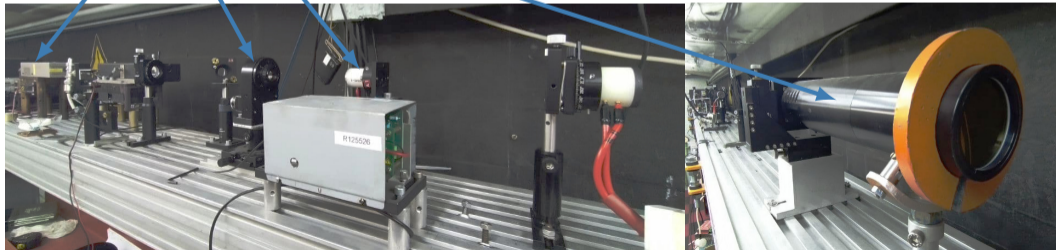
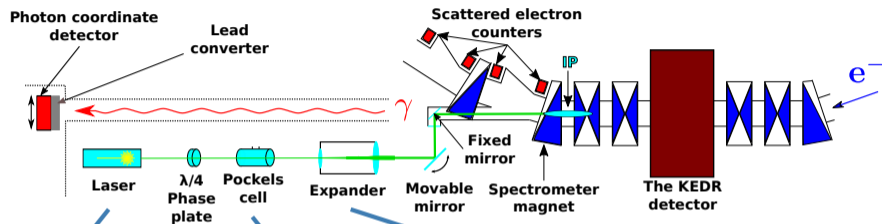
* q'_e and q_e are anomalous and normal part of the gyromagnetic ratio



$$\Delta\langle y \rangle = \frac{\hbar\omega_0}{2m_e c^2} P l \Delta V$$

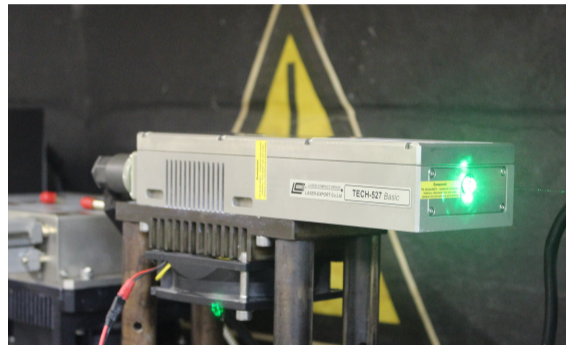
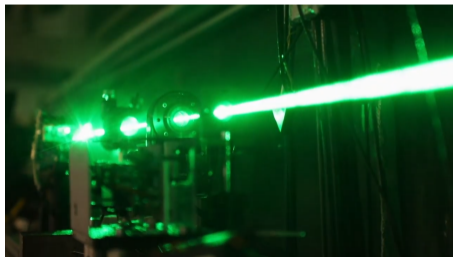
e^- polarization ΔV Change in optical circular polarization

Laser polarimeter optical layout



Laser

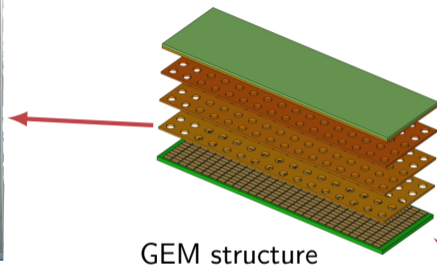
- Nd:YLF with frequency doubling
- 527 nm wavelength
- Operating frequency up to 4 kHz
- Average power - 2 W
- Pulse width – 5 ns (1.5 m length)



Photon coordinate detector



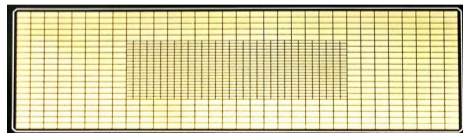
Detector design



GEM structure



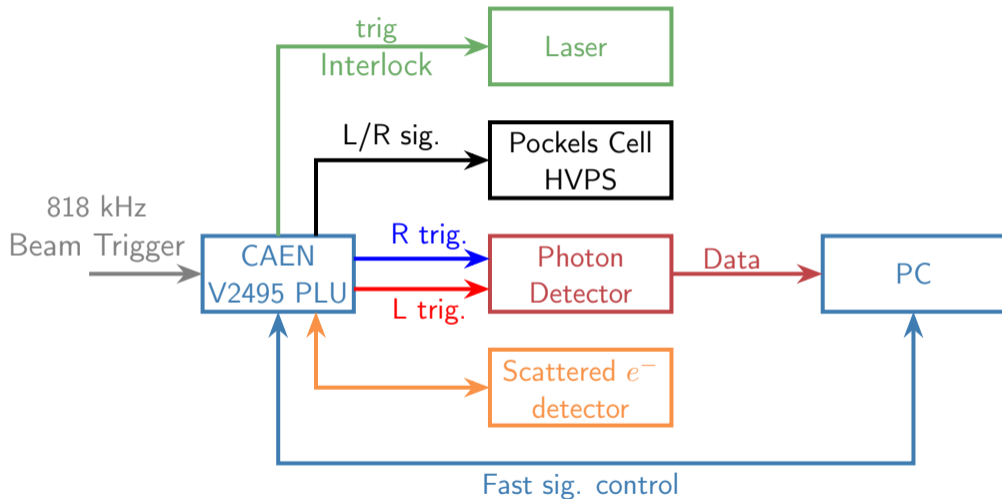
Single readout board



Readout structure

- Amplification structure: 3 GEM electrodes
- Sensitive area: 40×128 mm
- Channel number: 640 (center) + 512 (side)
- Trigger rate: 4 kHz

Fast Signal Control System



*PLU – programmable logical unit, HVPS – high voltage power supply

How to register e^- beam polarization

- Photon beam asymmetry scale:

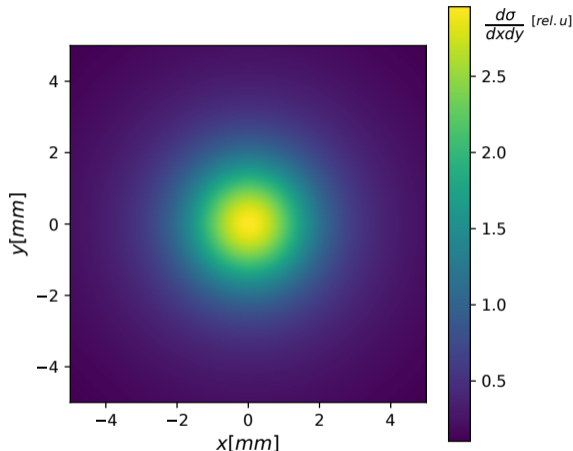
$$\Delta\langle y \rangle = \frac{\omega_0}{2m_e} P \ell \Delta V \sim 100 \mu m$$

- Photon beam size: $\ell/\gamma \sim 3.5 \text{ mm}$

- Looking at the difference:

$$\frac{d\sigma_L}{dx dy} - \frac{d\sigma_R}{dx dy} \text{ it is possible to register vertical asymmetry}$$

- Beam polarization affects the amplitude of this asymmetry



Compton backscattering: theoretical distribution

* P – average e^- beam polarization, ΔV – difference of the circular polarization states ℓ – distance between the interaction point and photon detector

How to register e^- beam polarization

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$$\Delta\langle y \rangle = \frac{\omega_0}{2m_e} P \ell \Delta V \sim 100 \mu m$$

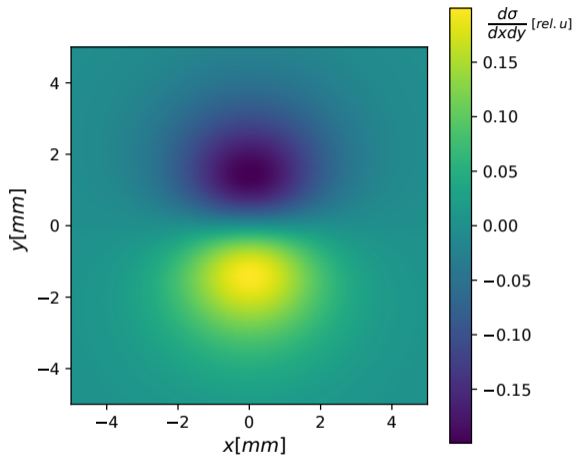
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(L-R) difference for compton backscattering

* P – average e^- beam polarization, ΔV – difference of the circular polarization states ℓ – distance between the interaction point and photon detector

How to extract e^- beam polarization state

Distribution asymmetry

$$A = \frac{N[y > 0] - N[y < 0]}{N[y > 0] + N[y < 0]}$$

- ✓ Simple and fast method
- ✗ Sensitive to the beam shape and position
- ✗ Detector acceptance causes systematic uncertainty

Projection Fit (1D)

$$\frac{d\sigma}{dy} \otimes B(y) \text{ (Blur)}$$

- ✓ Robust when beam shape is controlled
- ✗ Fails to describe the distribution for the elliptically polarized light

Full shape fit (2D)

$$\frac{d^2\sigma}{dxdy} \otimes B(x, y)$$

- ✓ No reduction of dimensionality: utilize all information from data
- ✗ Time consuming
- ✗ Doesn't work on complicated beam forms

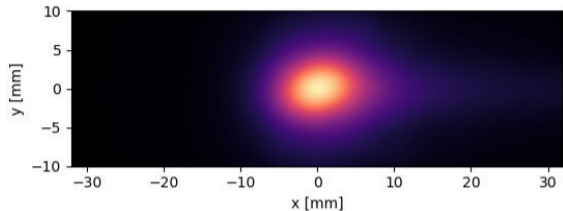
Is it possible to develop beam shape independent method?

What we actually see at the detector?

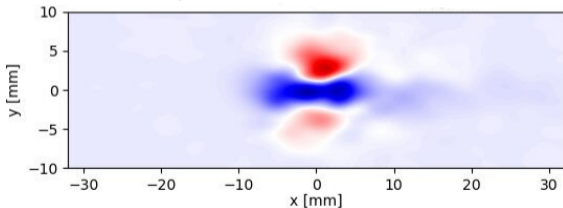
- Scattered photons distribution:

$$D = \varepsilon(x, y) \cdot \left[\frac{d^2\sigma}{dx dy} \otimes B(x, y) \right]$$

- It is a **convolution** of the Compton x-sec and smearing factors:
 - Electron beam emittance
 - Optical intensity distribution
 - Photon scattering and conversion
 - Clusters formation in the detector
- This complicates the analysis
- And decreases the effect extraction stability



Scattered photos coordinate distribution



Scattered photons coordinate distributions difference for the left and right optical polarization

Extracting beam shape from data

- We need to separate Compton distribution from all smearing factors:

$$D = \varepsilon(x, y) \cdot \underbrace{\left[\frac{d^2\sigma}{dx dy} \otimes B(x, y) \right]}_{:=C(x,y)} \quad (\text{Assumption: } \varepsilon(x, y) = 1)$$

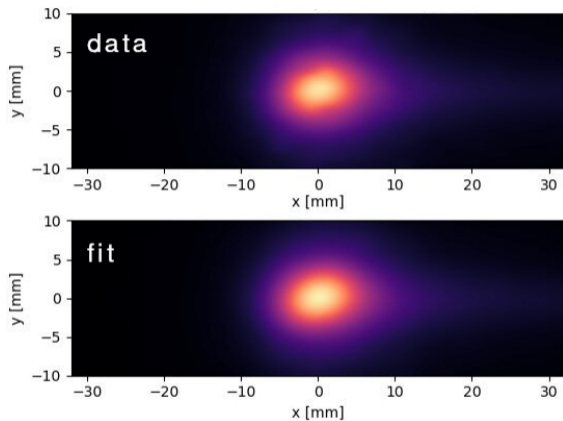
- It is possible to separate two contributions by spatial Fourier transform \mathcal{F}^+ :

$$\hat{D} = \mathcal{F}^+ \left[C(x, y) \otimes B(x, y) \right] = \hat{C}(\theta_x, \theta_y) \cdot \hat{B}(\theta_x, \theta_y)$$

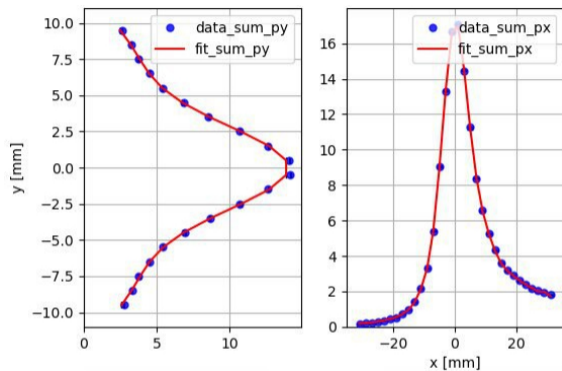
- Extract smearing function from data: $\hat{B} = \frac{\hat{D}}{\hat{C} + \varepsilon} \cdot \frac{|\hat{C}|^2}{|\hat{C}|^2 + k \sum |\hat{C}|^2}$, where k and ε are the regularization coefficients (Wiener filtration)
- Perform the inverse Fourier transform: $B = \mathcal{F}^-[\hat{B}]$
- Make a fit to **data** using known **smearing function**: $D_L - D_R = (C_L - C_R) \otimes B$

Theoretical
Compton x-sec
↙

Fit results

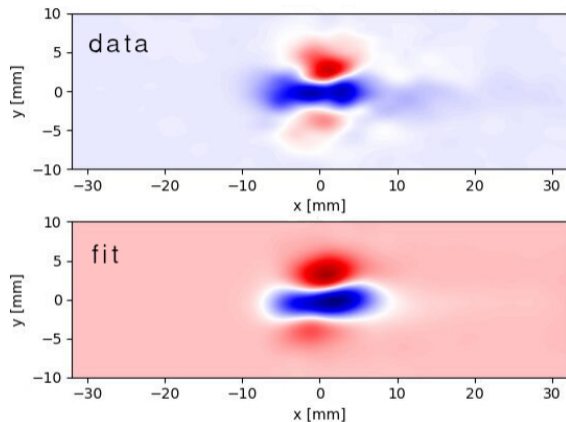


Scattered photons 2D coordinate distributions for data and fit

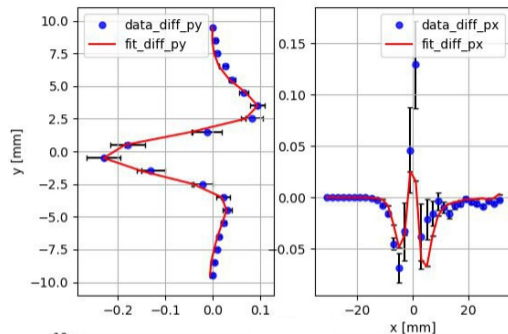


Vertical and horizontal projections for the data and fit distributions (Errors are too small to show)

Fit results: extracting polarization state



Scattered photons 2D differential coordinate distributions for the left and right optical polarization
 $\chi^2/\text{ndf} = 1.19$



Vertical and horizontal projections for the data and fit distributions

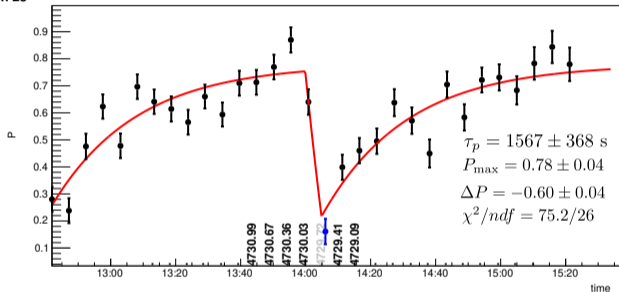
- $P = 0.56 \pm 0.08$ [e^- polarization]
- $Q = -0.21 \pm 0.02$ [linear light]
- $V = 0.97 \pm 0.02$ [circular light]

Measuring beam energy

- We performed ~ 50 beam energy measurements with the new Laser Polarimeter
 - Each run takes about 40 min (Statistical constraint)
- \Rightarrow Statistical energy error is 0.027 MeV
- $\delta E/E = 5.7 \cdot 10^{-6}$
 - $\delta P/P = 5\%$

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Run 23

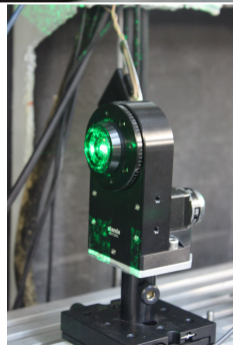
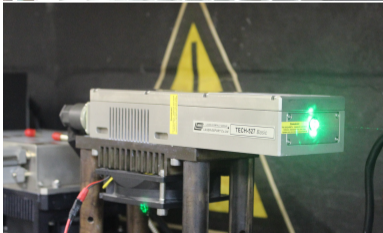
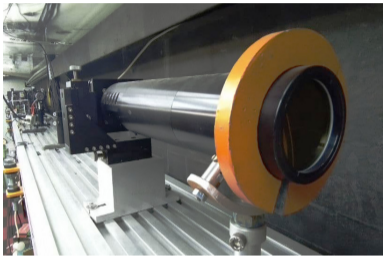
$E^{10.3\text{keV/s}} = 4729.791 \pm 0.027$ MeV



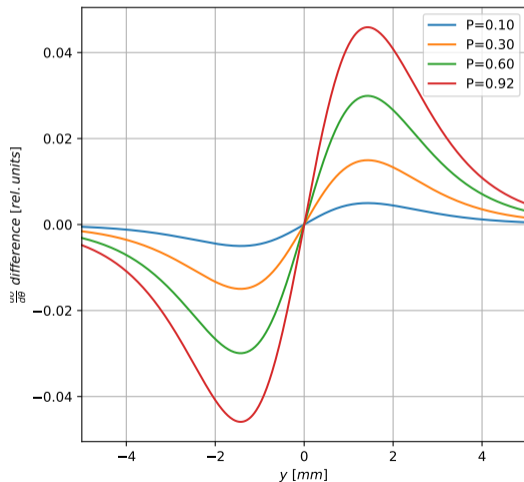
Electron beam polarization state time dependence

- We are completing the Laser Polarimeter setup for the VEPP-4
- To perform absolute electron beam polarization measurement, a new effect extraction method was proposed:
 - ↓ Obtain 2d distributions for the scattered photons
 - ↓ Extract the beam smearing function
 - Make a fit to data using a theoretical x-sec and the smearing function
- Statistical error of the electron beam energy value is 0.027 MeV, that corresponds to $\delta E/E = 5.7 \cdot 10^{-6}$
- We know e^- beam polarization with 5% error and work on improvement of our method

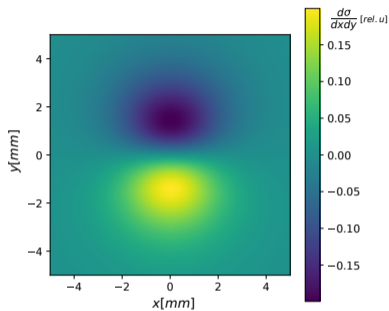
Backup: Laser polarimeter optical elements



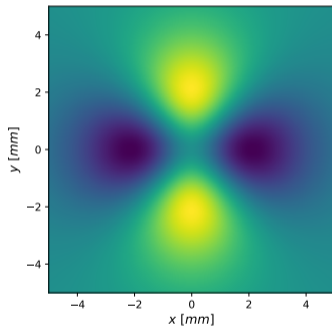
Backup: Compton x-sec for different e^- beam polarization



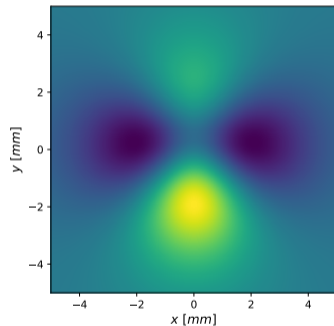
Backup: Compton x-sec for the elliptical optical beam



Differential Compton x-sec for the non-zero electron beam polarization and a circularly polarized optical beam ($P \neq 0$, $V = 1$, $Q = 0$)



Differential Compton x-sec for the linearly polarized optical beam ($Q = 1$)



Differential Compton x-sec for the elliptically polarized optical beam ($P = 0.92$, $V = 0.97$, $Q = 0.2$)