

# Detector R&D for ILC Compton Polarimeters

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FCC EPOL Workshop

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Introduction

Compton Polarimeters

Detector R&D

Conclusions

# Introduction

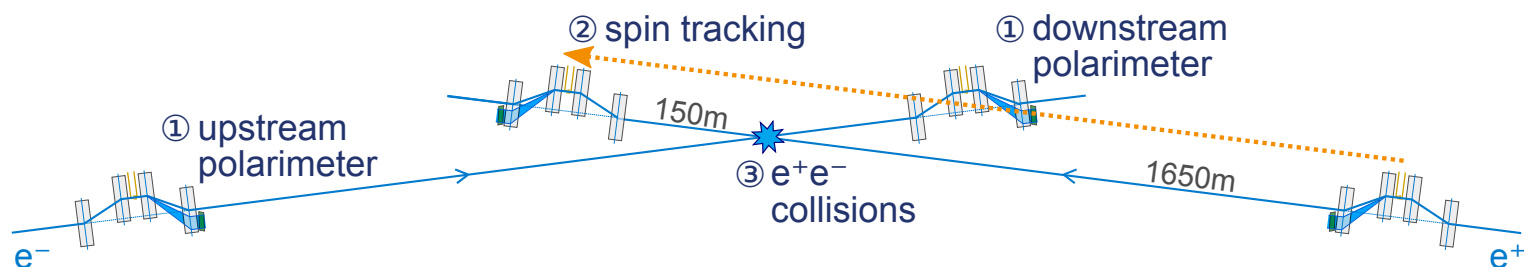
## Compton Polarimeters

## Detector R&D

## Conclusions

# Polarimetry concept.

Goal for ILC polarimetry: per-mille level precision on luminosity weighted average polarisation at the IP,  $\langle P_z \rangle_{IP} = \frac{\int P_z(t) \mathcal{L}(t) dt}{\int \mathcal{L}(t) dt}$



- ① Compton polarimeter measurements upstream and downstream of the  $e^+e^-$  interaction point
- ② Spin tracking to relate these measurements to the polarization at the  $e^+e^-$  interaction point
- ③ Long-term average determined from  $e^+e^-$  collision data as absolute scale calibration

Introduction

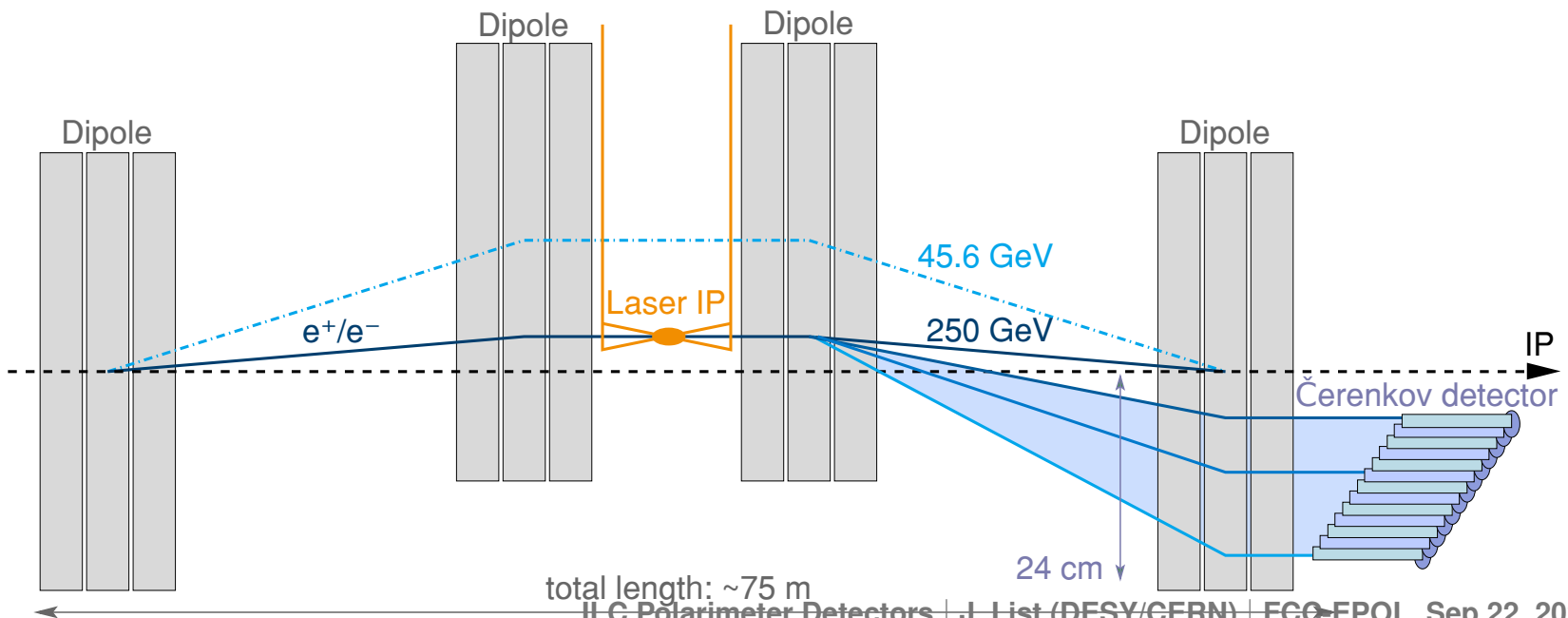
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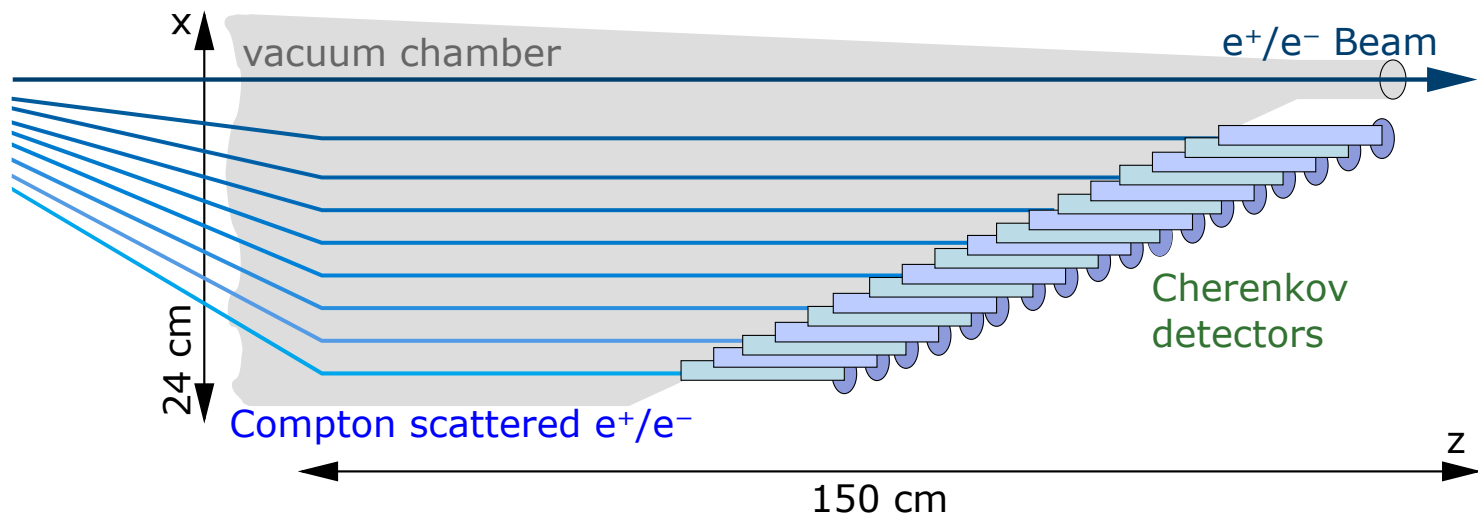
# Upstream Polarimeter.

- fast measurement:  $\mathcal{O}(10^3)$  Compton scatterings/bunch
- Energy spectrum of scattered  $e^+/e^-$  depends on product of longitudinal lepton ( $\mathcal{P}$ ) and circular laser ( $\lambda$ ) polarisations
- Magnetic chicane: energy distribution  $\rightarrow$  (horizontal) position distribution
- Measure number of  $e^+/e^-$  per detector channel
- Transverse polarisation: need vertical position as well



# Upstream Polarimeter.

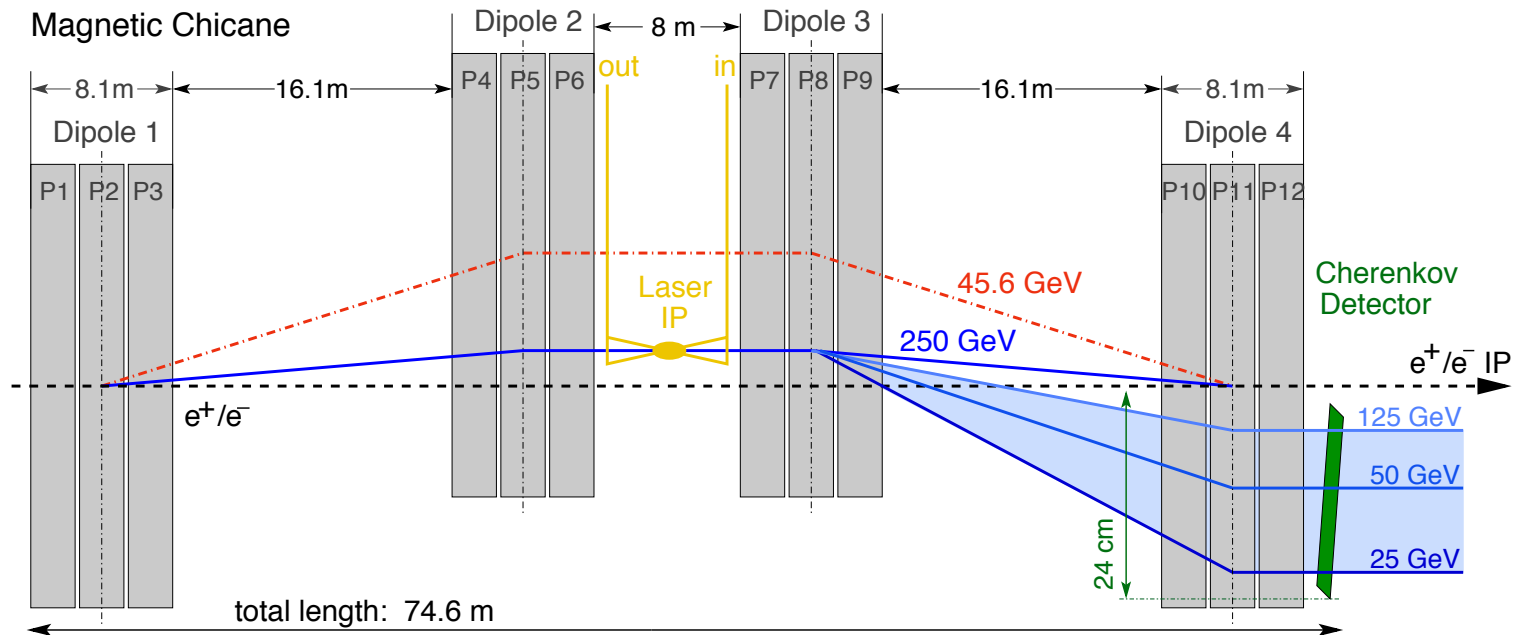
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# Design of the Upstream Polarimeter Chicane.

## Why a 4-Dipole-Chicane?

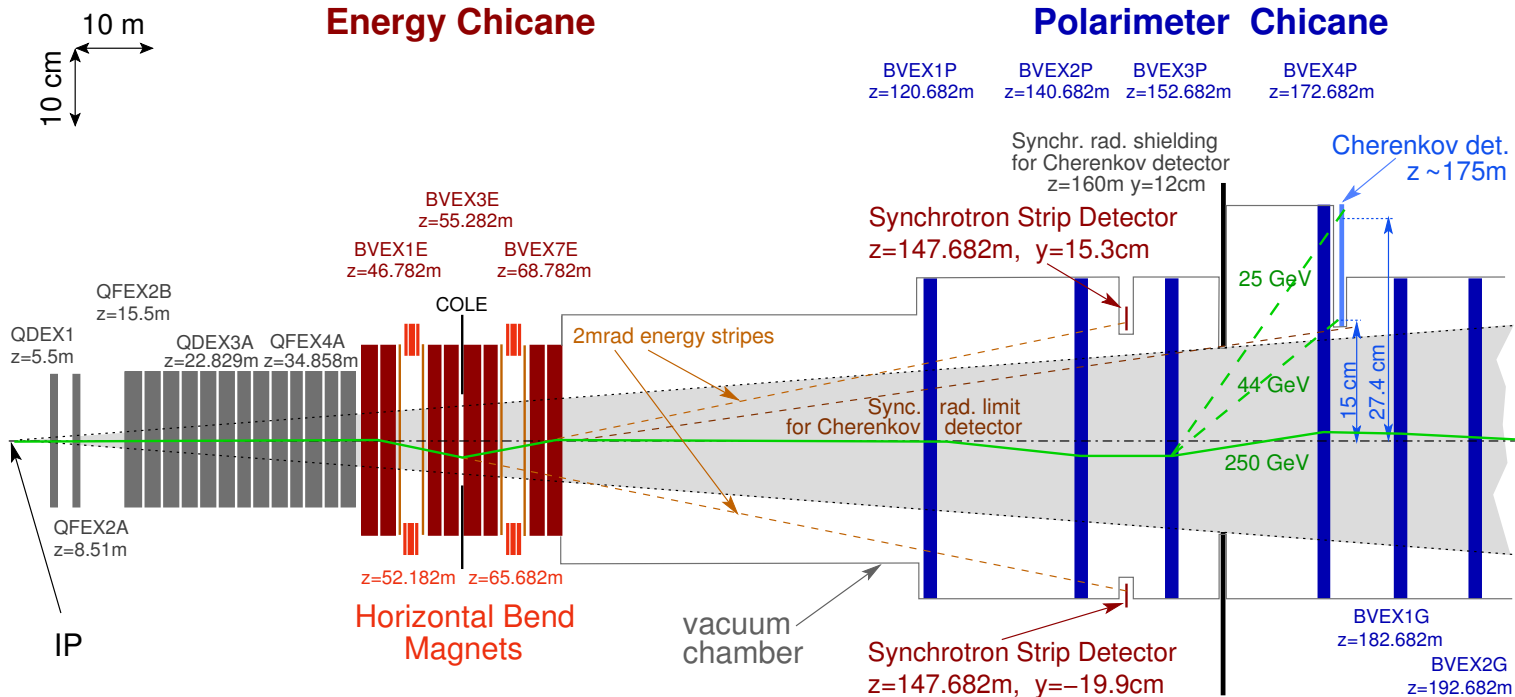
- Compton spectrum position at detector independent of  $E_{beam}$  if  $B$ -field constant
- price to pay: Compton IP moves laterally with  $E_{beam}$





# The Downstream Polarimeter

- 6-magnet chicane kicks Compton signal out of synchrotron fan
- more background  $\Rightarrow$  higher laser intensity for enough signal
- TDR design assumes laser can only fire at one bunch / train  
revisit – based on laser technology from 20 years ago!



# Measurement Precision.

ILC Goal: total uncertainty  $\delta P / P \approx 0.25\%$  for  $|P| \simeq 80\%$

source of uncertainty	$\delta P / P$	
	SLC achieved	ILC goals
laser polarisation	0.1%	0.1%
analyzing power	0.4%	0.15% – 0.2%
detector linearity	0.2%	0.1%
electronic noise and beam jitter	0.2%	0.05%
Total	0.5%	0.25%

- **laser:** precision non-trivial  $\Rightarrow$  exploit synergies with other polarimeters and experiments (e.g. LUXE)
- **analysing power:** prediction of count rate asymmetry per detector channel  $\Rightarrow$  knowledge of beam parameters, design of chicane, beam-detector alignment, backgrounds
- **detector linearity, electronic noise:**  $\Rightarrow$  detector design & calibration
- **beam jitter:** much smaller at ILC due to luminosity requirements

# Complementarity of Up- and Downstream.

## Upstream Polarimeter

- 1.8 km upstream of IP
- rather clean environment
- begin beam cond.
- samples every bunch
- stat. error 1% after few  $\mu\text{s}$
- reference for control of collision effects

## Downstream Polarimeter

- 140 m downstream of IP
- high backgrounds
- disrupted beam
- samples one bunch / train
- stat. error 1% after  $\simeq 1$  min
- access to depolarisation in collision

## Combination

- without collisions: spin transport in Beam Delivery System and Extraction Line
- with collisions: depolarisation at IP
- **cross check each other!**

[c.f. "Spin Dance" Exp., Phys. Rev. ST Accel. Beams **7** 042802 (2004)]

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# Detector Requirements.

## Magnetic Chicane...

- transforms energy spectrum into spatial distribution
- behind chicane:  $\sim 20$  cm wide
- detect Compton electrons over this area

## Detector requirements:

- Total ionising dose up to 100 Mrad / year
- read out signals of 1000-2000 Compton electrons (25-250 GeV) **every** bunch crossing
- either very linear response or “counting” electrons
- alignment to  $\sim 100$   $\mu\text{m}$  and  $\sim 1$  mrad
- suppression of background from low energetic particles

# Detector Options.

## Simple, robust, fast: Cherenkov detectors

- Cherenkov light emission proportional to number of electrons
- independent of electron energy (once relativistic)
- successfully used in best polarimeter sofar at SLC
- gas or quartz option for Cherenkov medium

# Detector Options.

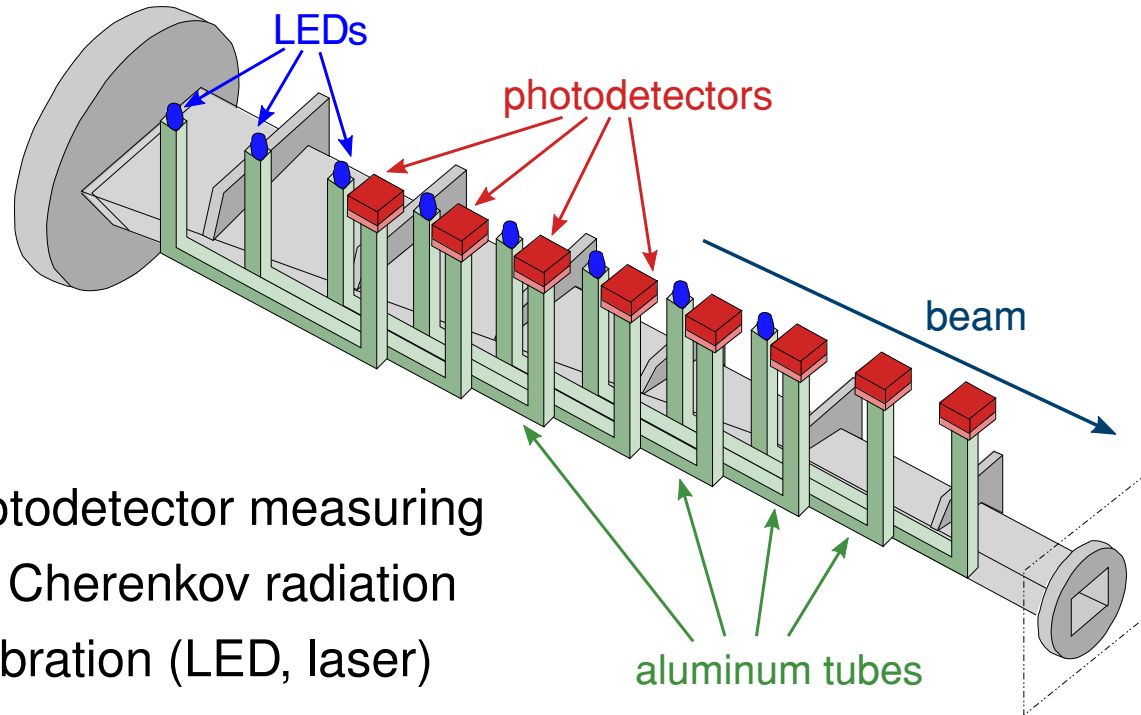
## Simple, robust, fast: Cherenkov detectors

- Cherenkov light emission proportional to number of electrons
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## Take home message:

- detector performance required to meet overall error budget has been achieved in prototypes
  - analysing power (i.e. asymmetry at  $\mathcal{P} = 1$ ): 0.2 %  
⇒ e.g. alignment
  - detector linearity: 0.1 % ⇒ photodetector calibration
- some details on the next slides...

# Gas Cherenkov detector.



- **hind U-leg:** photodetector measuring the Cherenkov radiation
- **front U-leg:** calibration (LED, laser)

Alignment: locate Compton edge in the spectrometer

Segmented photodetectors: Tilt alignments via asymmetries

2-channel prototype tested at ELSA [JINST 7, P01019 (2012)]

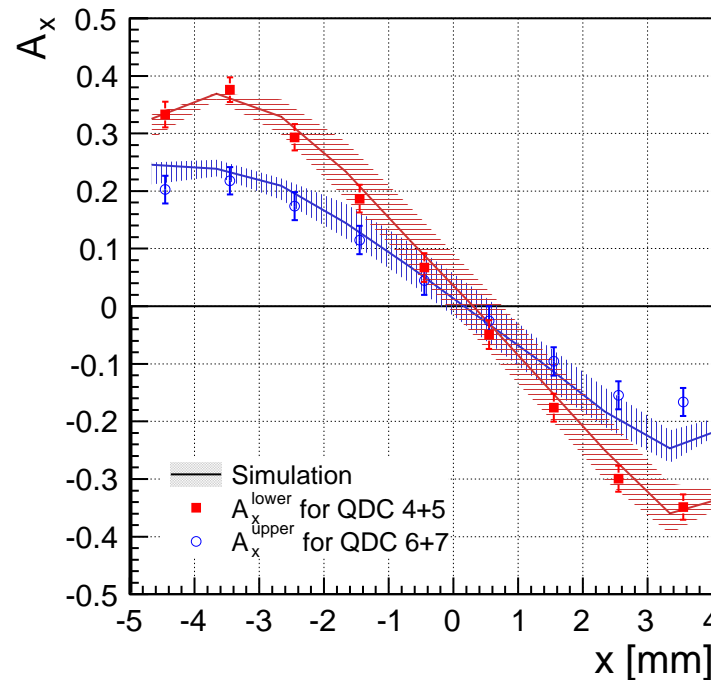
⇒ tilt alignment of  $0.1^\circ$ , nearly fulfils alignment requirements



# Gas Cherenkov detector: Alignment.

If the detector is tilted

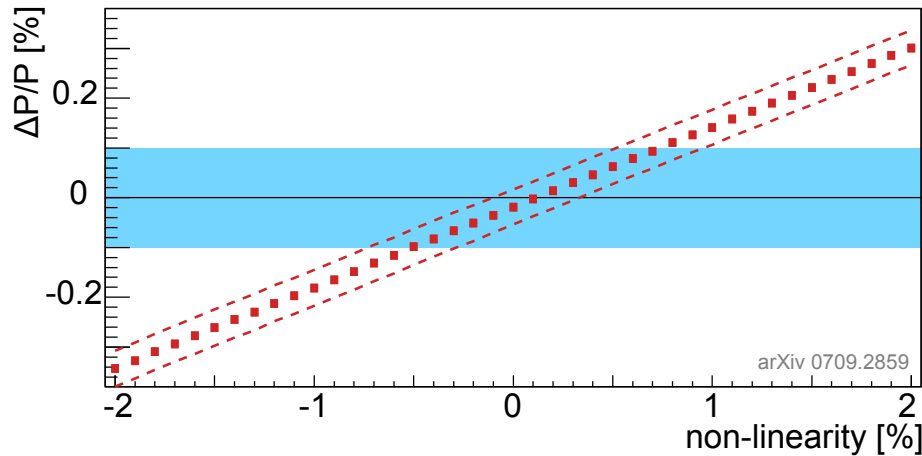
- beam path through the detector varies  $\Rightarrow$  different light path
- different light pattern on the photocathode  
 $\Rightarrow$  alignment via spatial assymetries possible:



$\Rightarrow$  Reached a tilt alignment of  $0.1^\circ$ . [JINST 7, P01019 (2012)]

# Calibration of detector non-linearity.

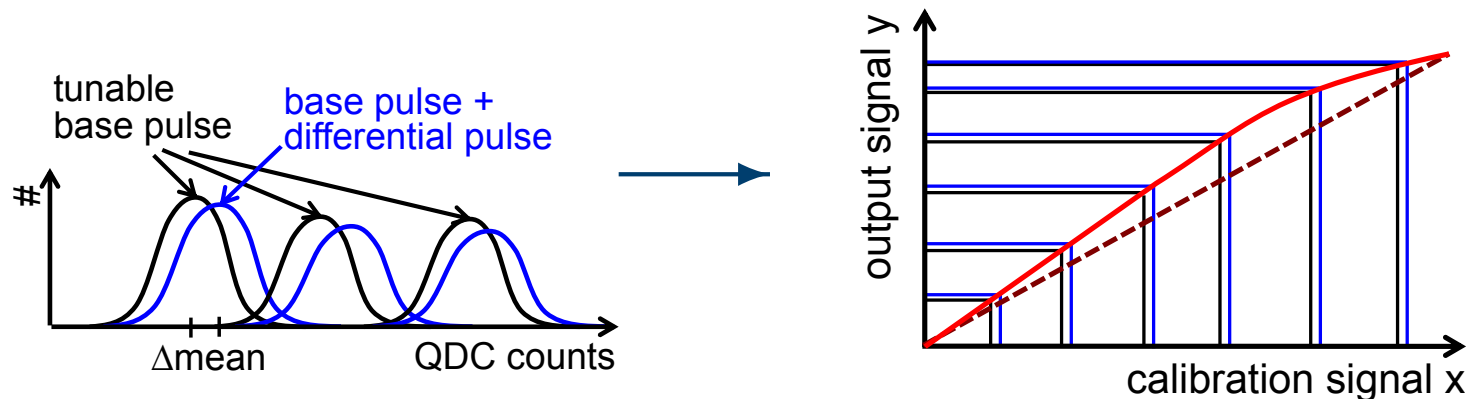
Goal: contribution to overall uncertainty  $< 0.1\%$



PMTs have to be calibrated to non-linearity  $< 0.5\%$ .

$\mathcal{P} \propto \frac{N^+ - N^-}{N^+ + N^-}$ : no absolute calibration needed.

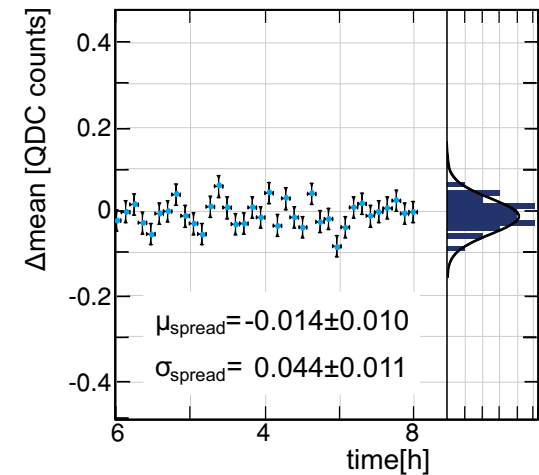
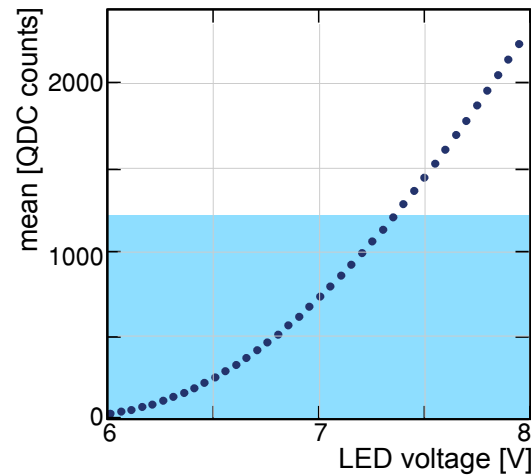
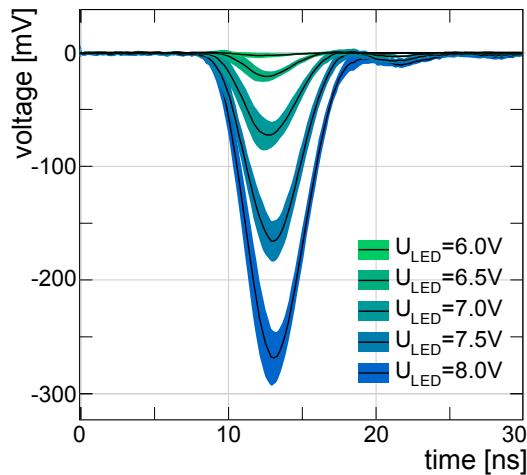
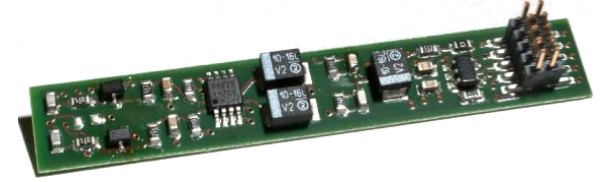
→ Differential calibration method using two LEDs:



# Calibration source requirements.

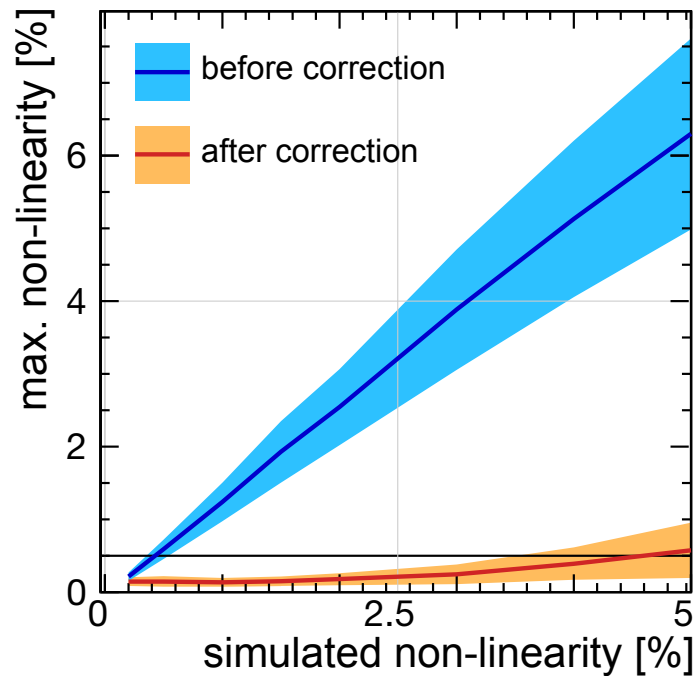
Requirements on the LED driver:

- wave length in UV range ( $\lambda = 405 \text{ nm}$ )
- applicable in detector design  $\rightarrow$  small
- short light pulses ( $< 10 \text{ ns}$ )
- coverage of the whole dynamic range of the expected signal
- reproducible and stable light pulses



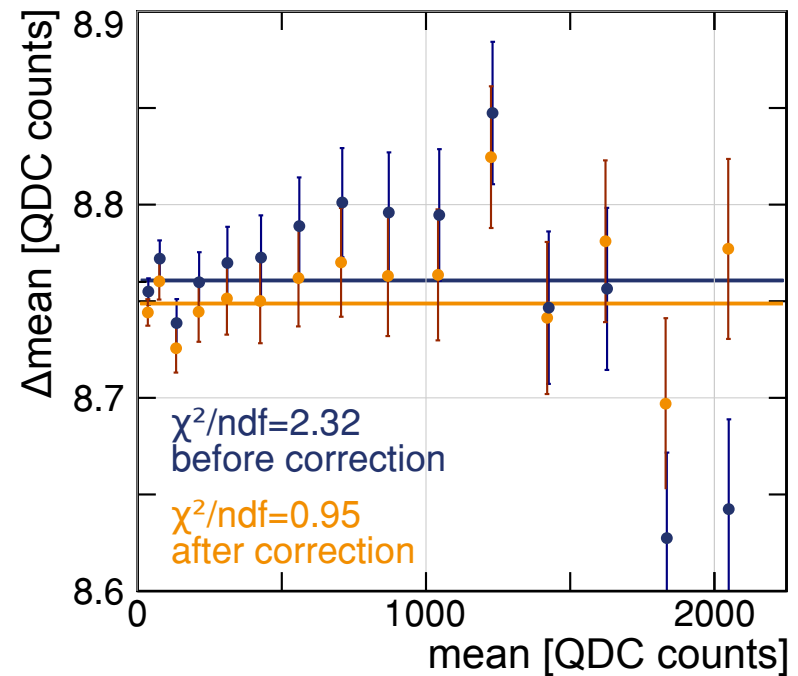
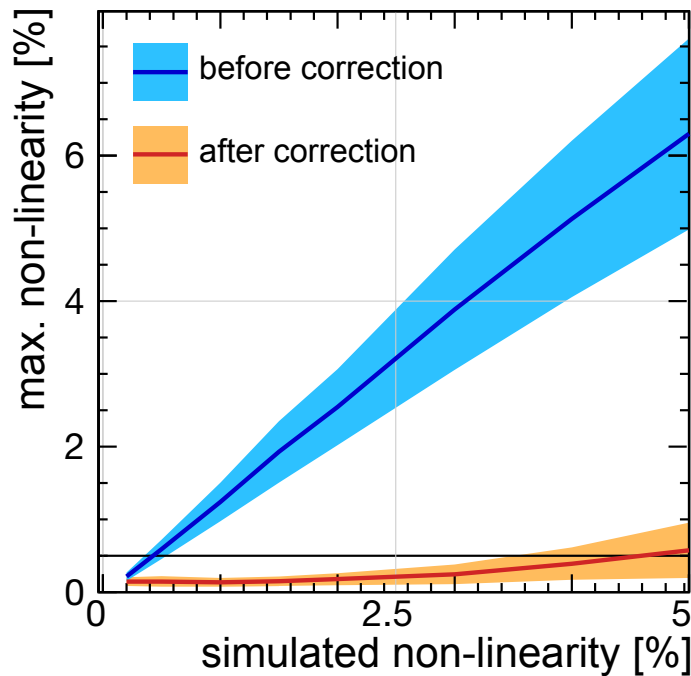
# Test of non-linearity correction.

Simulations: Corrections of non-linearities up to 4 % possible.



# Test of non-linearity correction.

Simulations: Corrections of non-linearities up to 4 % possible.  
Applied method to on of the photodetectors used in testbeam:

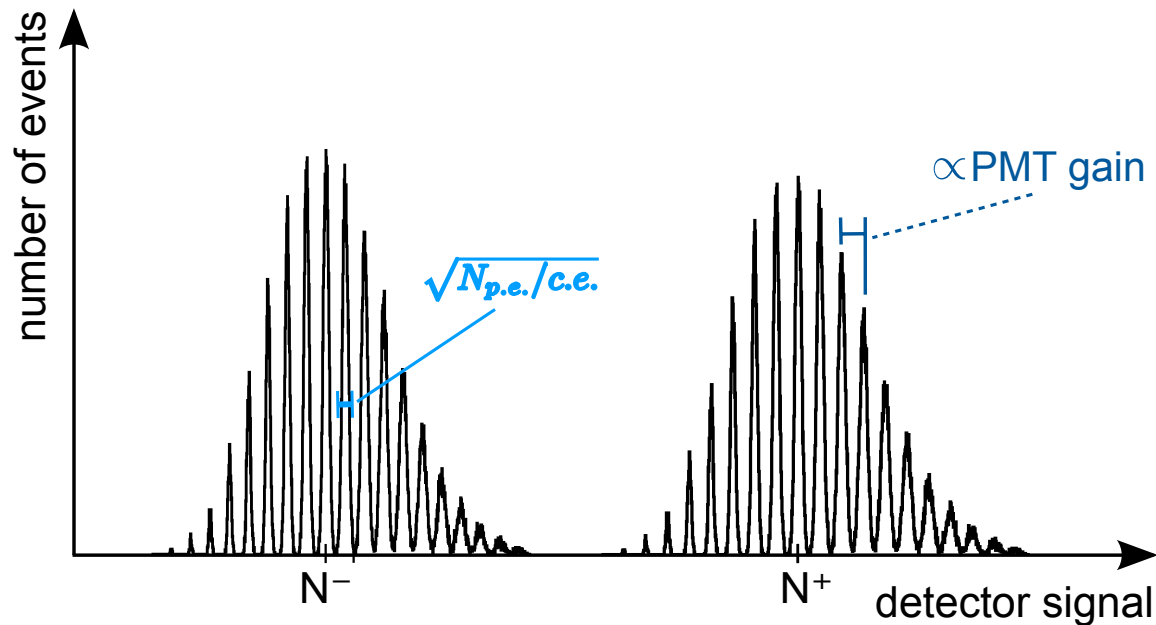


⇒ Reached non-linearity  $< 0.2\%$  in the expected dynamic range,  
in single polarimeter channels even smaller.

# Quartz Cherenkov detector - idea.

Alternative detector concept: quartz detector

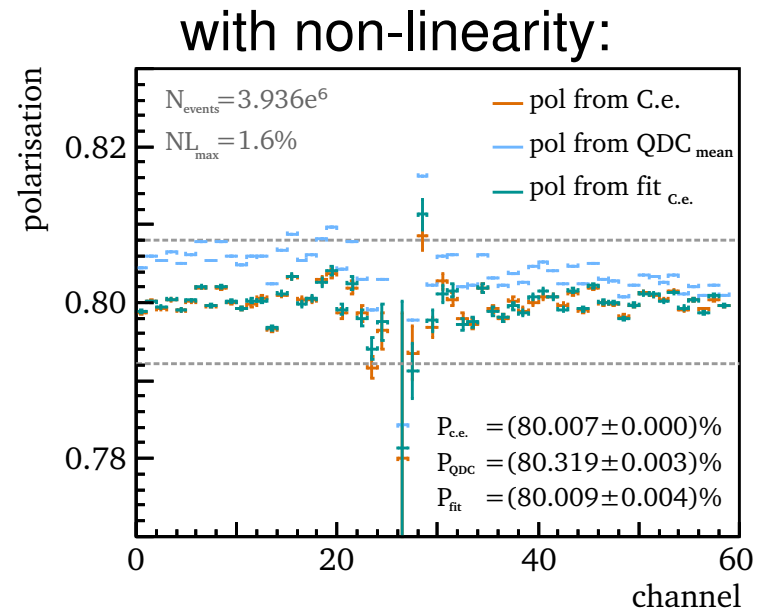
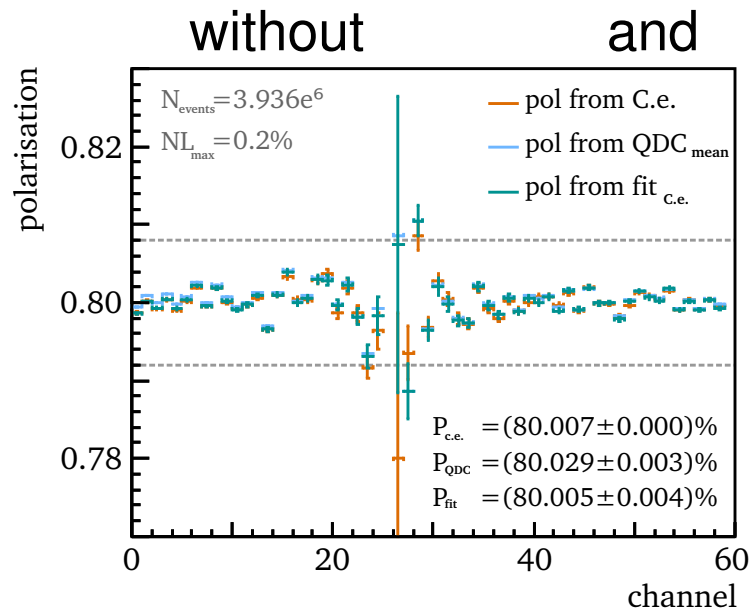
- Higher refractive index → higher photon yield
- For enough photons per Compton  $e^-$  :  
→ calibrate gain directly from the data



# Quartz Cherenkov detector - simulation.

Compare asymmetry from

- true Compton electrons
- QCD mean (no peaks resolved)
- peak counting

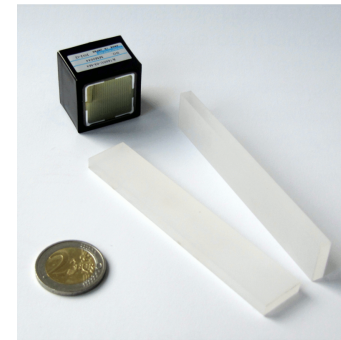
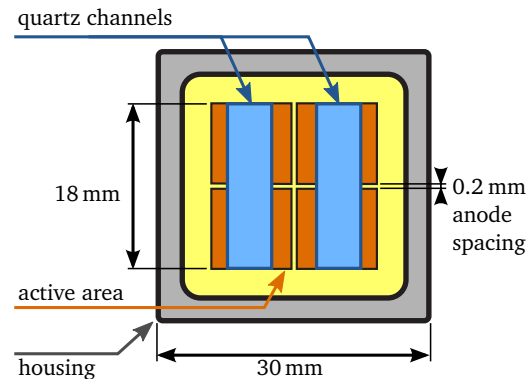
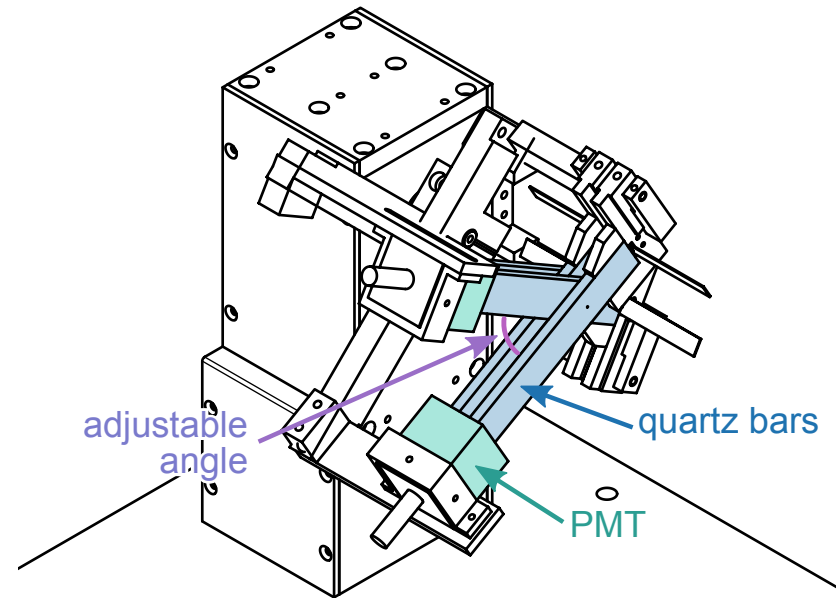


Peak-counting asymmetry robust against non-linearities!

# Quartz Cherenkov detector - prototype.

4-channel prototype operated at DESY II testbeam in 2014

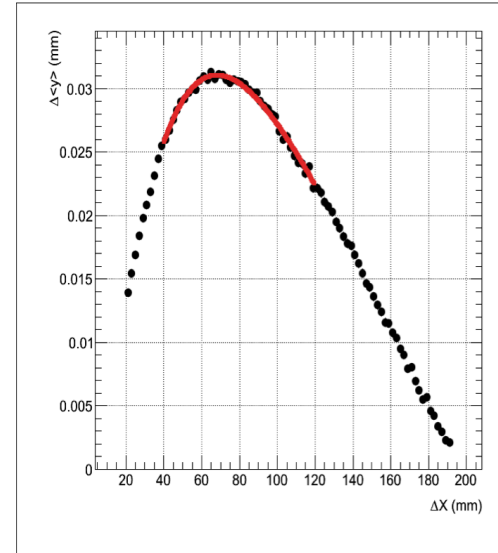
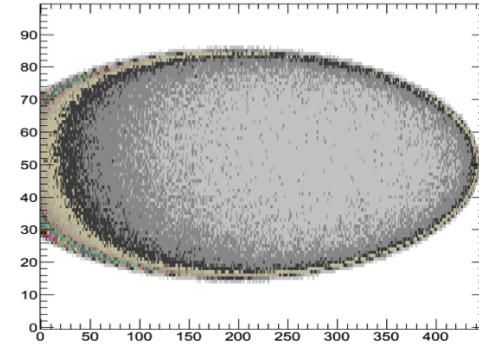
- channels: quartz bars (5 mm x 18 mm x 100 mm)
- reasonable agreement with simulations (angular dependence, etc. )





# Transverse Polarisation.

- requires to measure also vertical position, width of spectrum  $\sim$  mm  $\Rightarrow$  Si pixel detector
- pioneered by G. Alexander, I. Ben Mordechai [<https://inspirehep.net/literature/1475547>]
- detailed simulation study incl. assessment of systematic uncertainties  $\Rightarrow \delta P_Y / P_Y = 0.2\%$  achievable
- dominated by  $y$  position (assume  $25 \mu\text{m}$ ) and tilt around  $z$  ( $0.1^\circ$ )



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# Conclusions.

- precision target for ILC Compton polarimeters  $\delta P / P = 0.25\%$  on longitudinal polarisation at Compton IP
- requires detector linearity and analyzing power to be understood 2-3 times better than at SLC polarimeter
- Cherenkov detectors as baseline due to simplicity and robustness
- for detectors, translates to
  - alignment to  $\sim 100 \mu\text{m}$  and  $\sim 1 \text{ mrad}$
  - linearity  $\leq 0.5\%$
- two detector concepts incl. calibration system have been successfully prototyped
- requirements have been met in testbeam
- work ready to resume after project decision

# More Details.

## ➤ E&P workshop Zeuthen 2008

<http://indico.desy.de/conferenceDisplay.py?confId=585>

## ➤ its Executive Summary

arXiv:0903.2959 [physics.acc-ph]

## ➤ downstream polarimeter 6-magnet chicane

<http://www.slac.stanford.edu/cgi-wrap/getdoc/slac-pub-12425.pdf>

## ➤ publication on beam energy and polarisation measurements

JINST **4** (2009) P10015, arXiv:0904.0122 [physics.ins-det]

## ➤ publications on polarimeter detector R&D:

JINST **7** (2012) P01019, arXiv:1011.6314 [physics.ins-det]

JINST **10** (2015) 05, P05014, arXiv:1502.06955 [physics.ins-det]

JINST **11** (2016) 01, P01014, arXiv:1509.03178 [physics.ins-det]

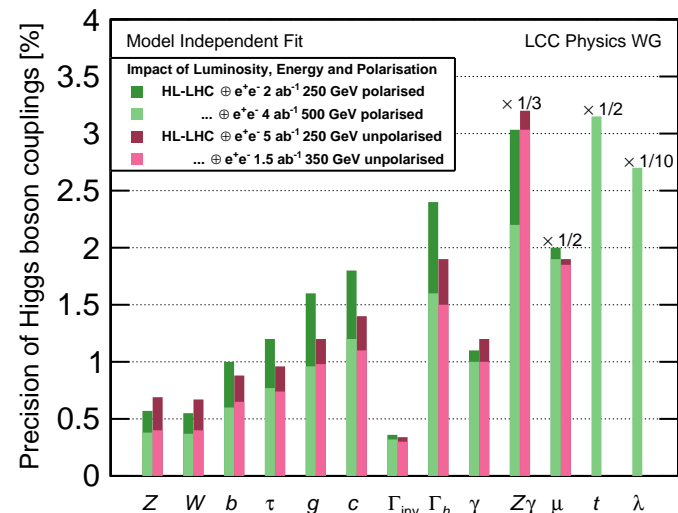
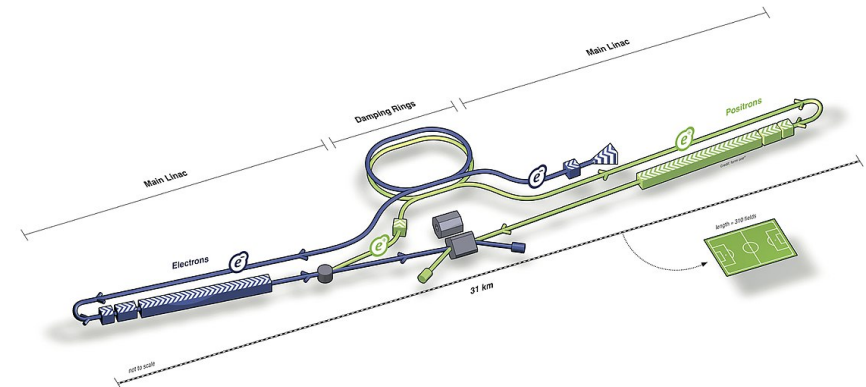
## ➤ publication on BDS spin tracking

JINST **9** (2014) P07003, arXiv:1405.2156 [physics.acc-ph]

**Backup Slides .**

# The International Linear Collider.

- $e^+ e^-$  “Higgs factory” with  $\sqrt{s} = 250$  GeV, upgradable to up to 1 TeV
- *both* beams polarised:
  - $|P(e^-)| = 80\%$ ,
  - $|P(e^+)| = 30\% \dots 60\%$
- integral part of physics programme, for Higgs and beyond, c.f.
  - <https://arxiv.org/abs/1801.02840>.
- construction under political consideration in Japan

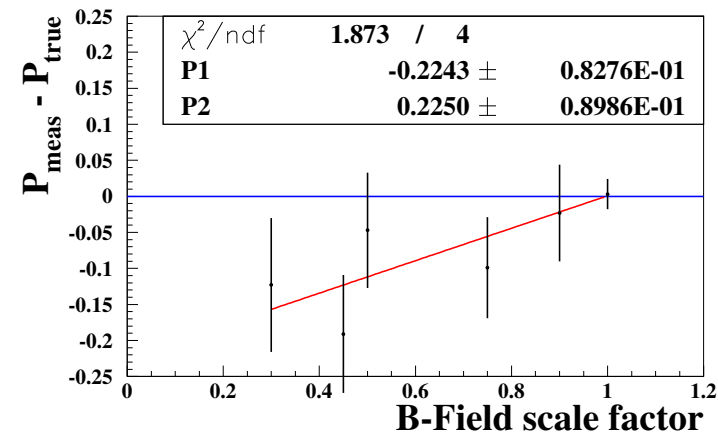
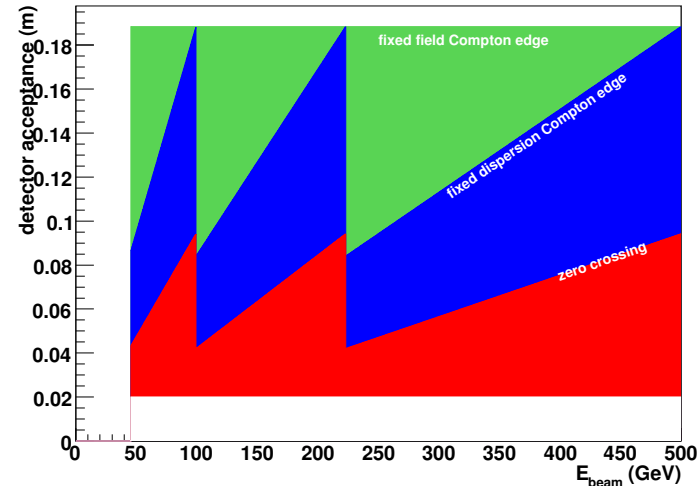


# Scaled vs Fixed Field Operation.

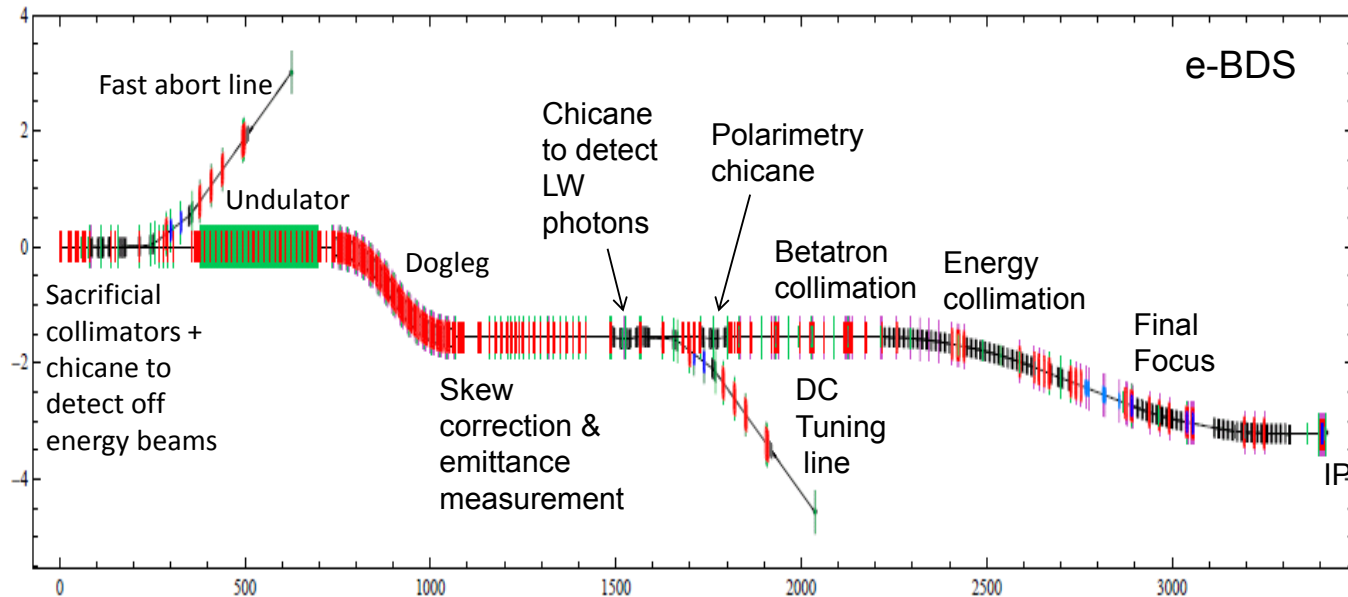
## Effects of scaled field on measurement:

- acceptance: varies with  $E_{beam}$   
 ⇒ inhomogeneous quality of polarisation measurement
- alignment: via Compton edge position w.r.t. main beam  
 ⇒ effect on  $\delta\mathcal{P}/\mathcal{P}$  doubles
- systematic deviations for large scale factors

not compatible with extreme precision requirements c.f. ILC-NOTE-2008-047

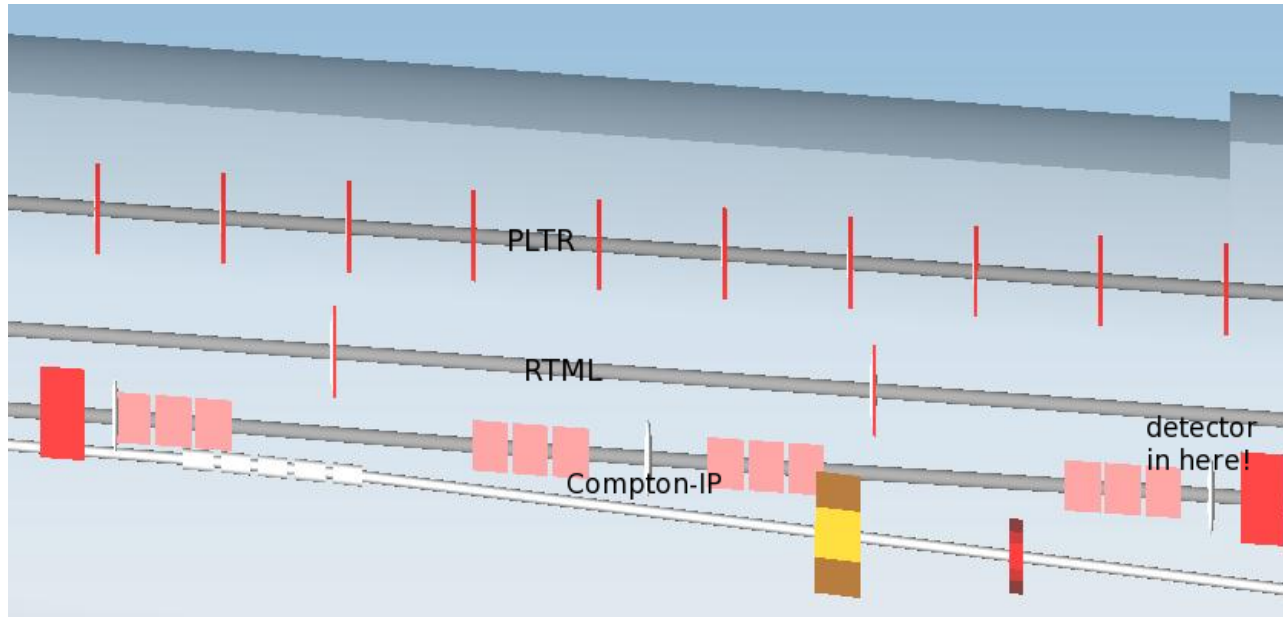


# The Upstream Polarimeter in SB2009-Nov10 lattice.

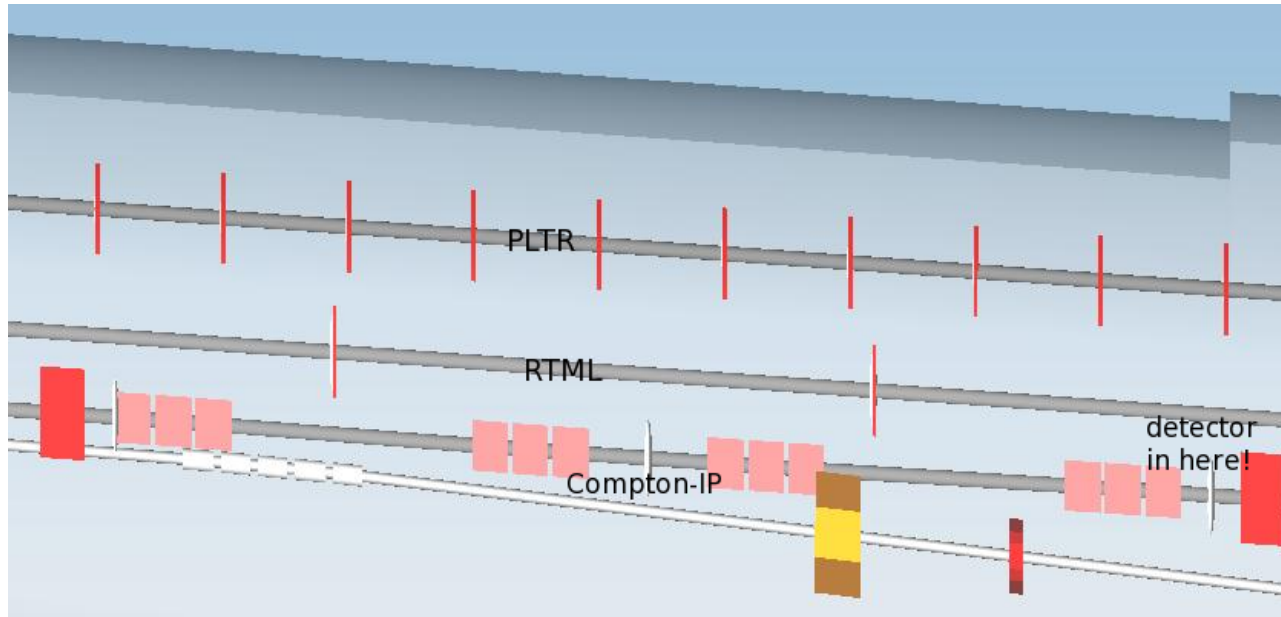




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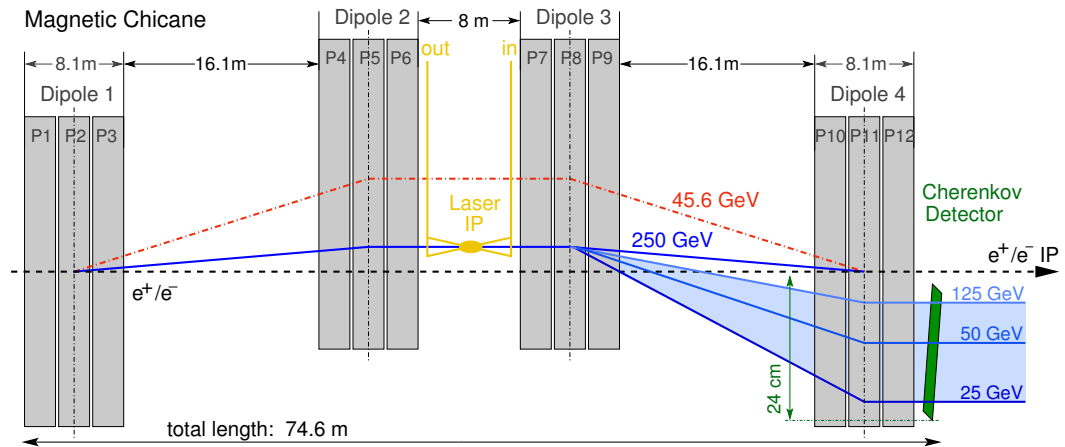
- distance Compton-IP to dump line ca 30 cm at 250 GeV
- down to ca 20 cm at lowest energies - enough?

[c.f. Baseline Technical Review Workshop 2011]

# Vacuum Chamber in Chicane Region.

need special beam pipe through out whole chicane

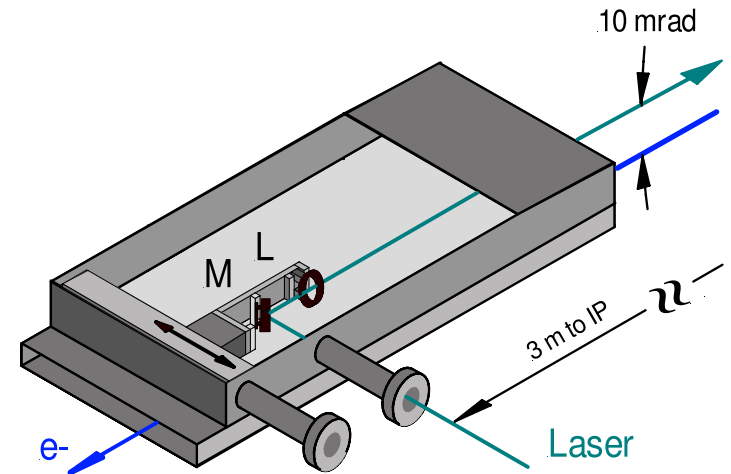
- to allow for varying bending angle
- to guide laser in and out
- to let fan of Compton scattered electrons pass
- to extract Compton fan to detector



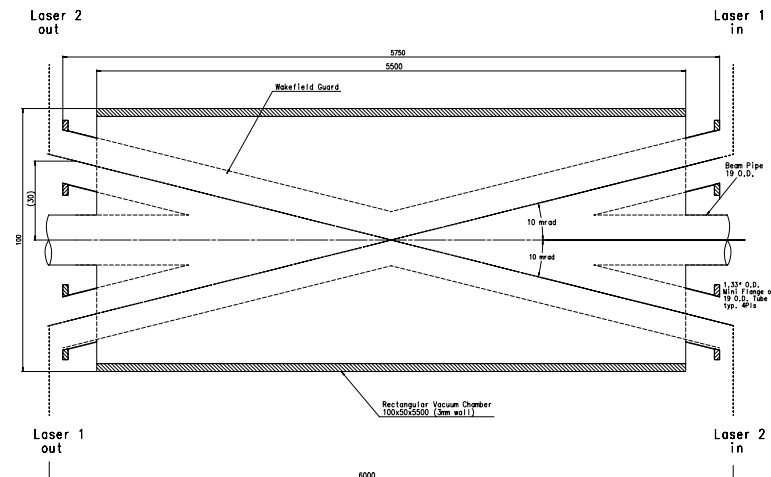
Attention: deflection of chicane the otherway round as on previous page!

# Vacuum Chamber: Laser in / out.

- Laser enters chicane *horizontally* (far side from tune-up dump line!)
- final mirror / lens movable to adjust to  $e^-$  beam
- had been designed to some extent for TESLA (!) by N. Meyners, P. Schüler

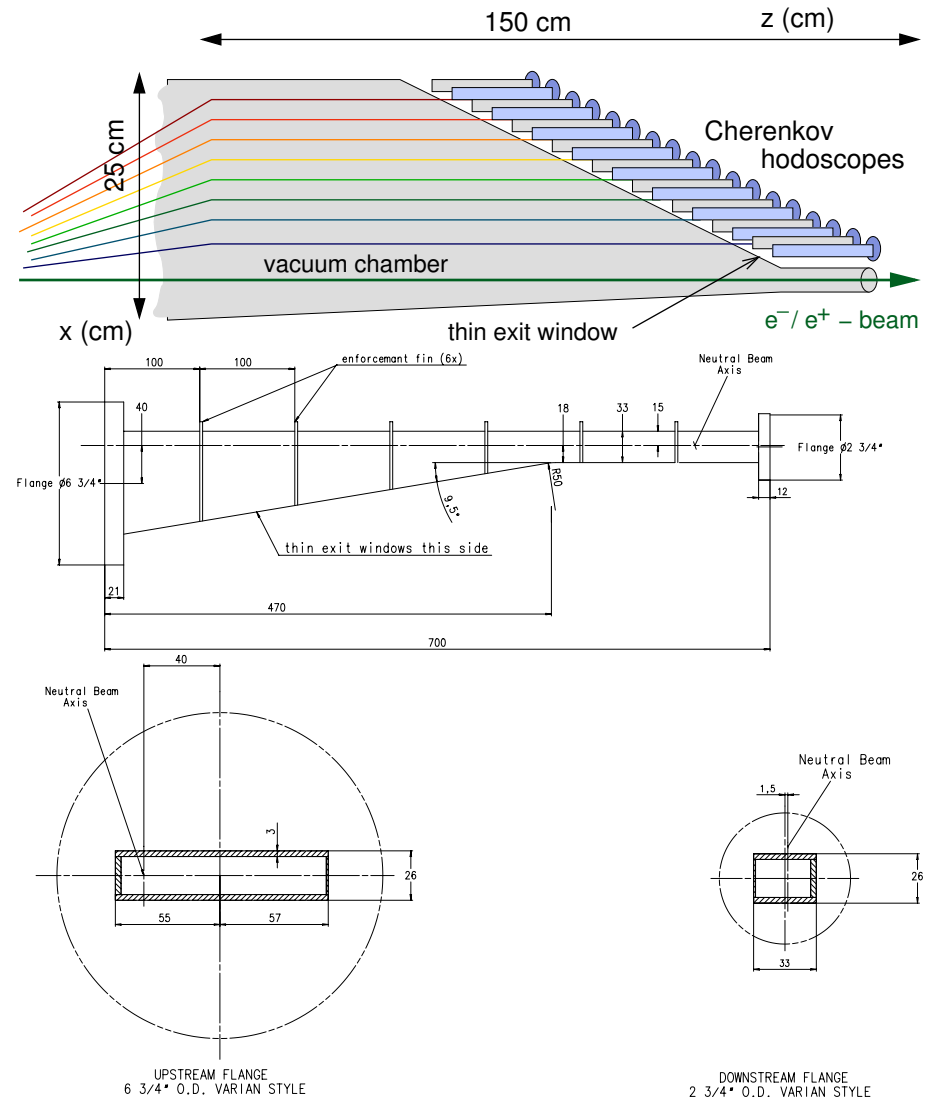


Movable Laser Beam

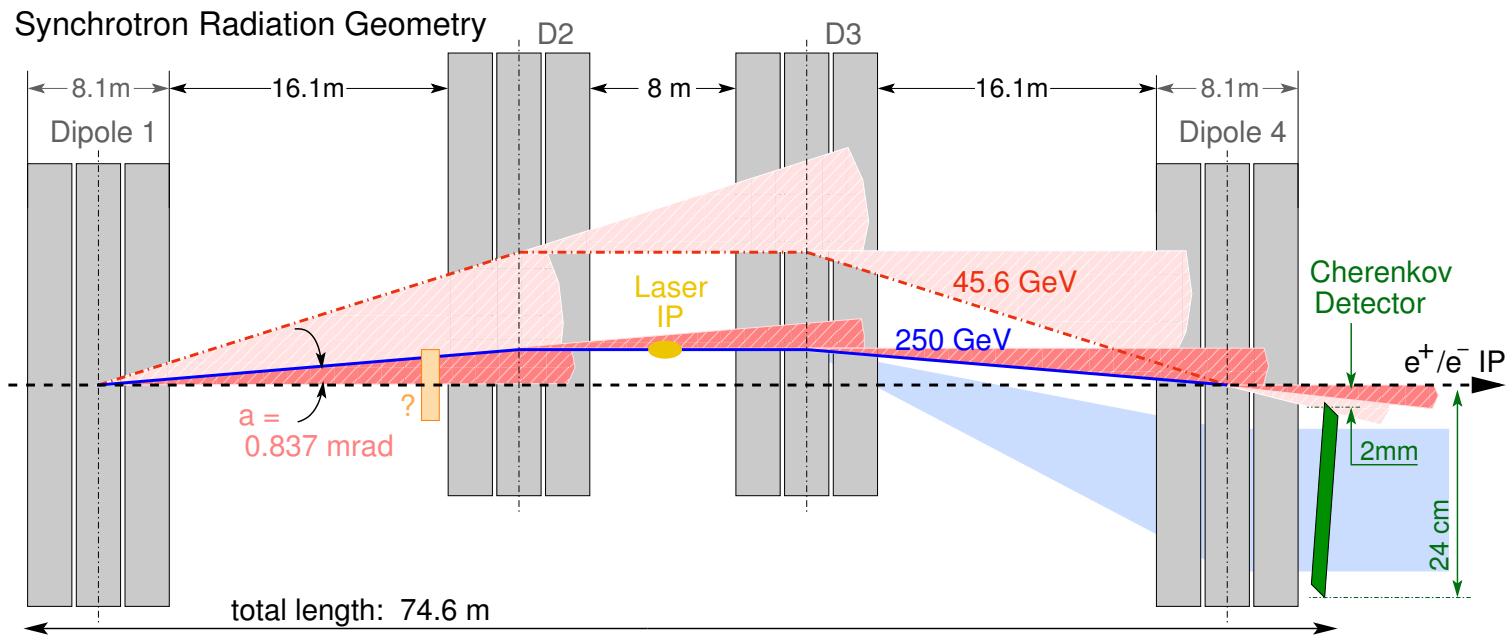


# Vacuum Chamber: Compton fan exit.

- need tapered exit window to avoid wake fields
- again estimate from TESLA:  $\simeq 10^\circ$  is fine (opinions?)
- need  $\simeq 1.5$  m for detector array, make it 2 m for shielding, accessibility,...
- fine with SB2009-Nov10 lattice

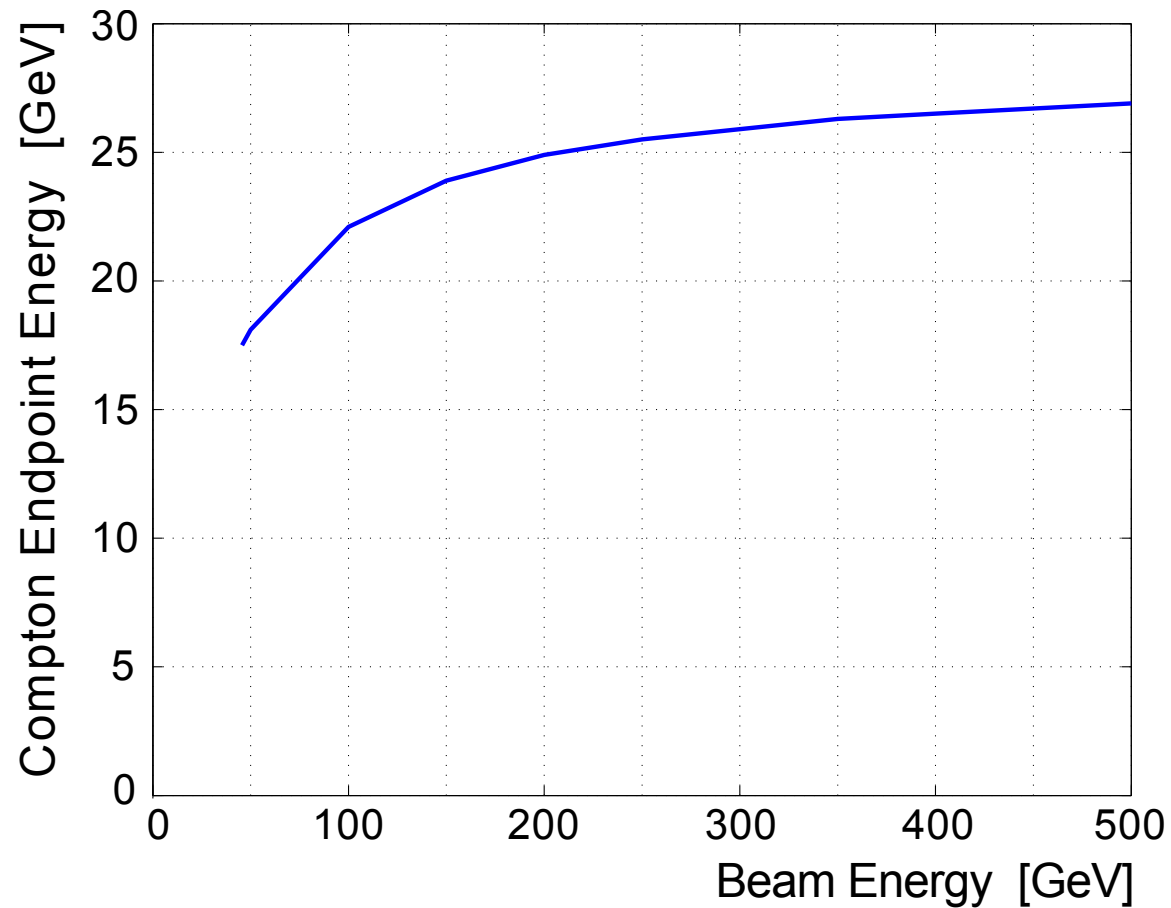


# Synchrotron Radiation.



# Compton edge.

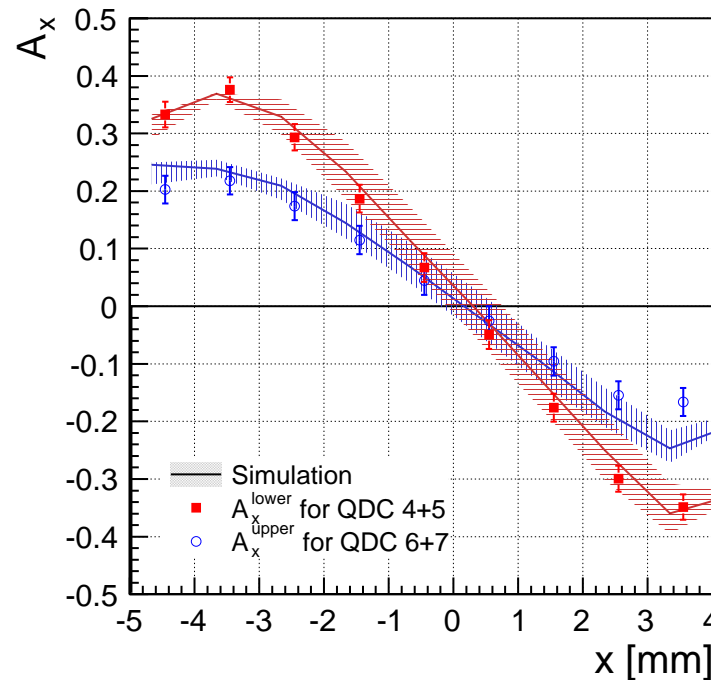
Compton edge position nearly independent of beam energy



# Gas Cherenkov detector: Alignment.

If the detector is tilted

- beam path through the detector varies  $\Rightarrow$  different light path
- different light pattern on the photocathode  
 $\Rightarrow$  alignment via spatial assymetries possible:

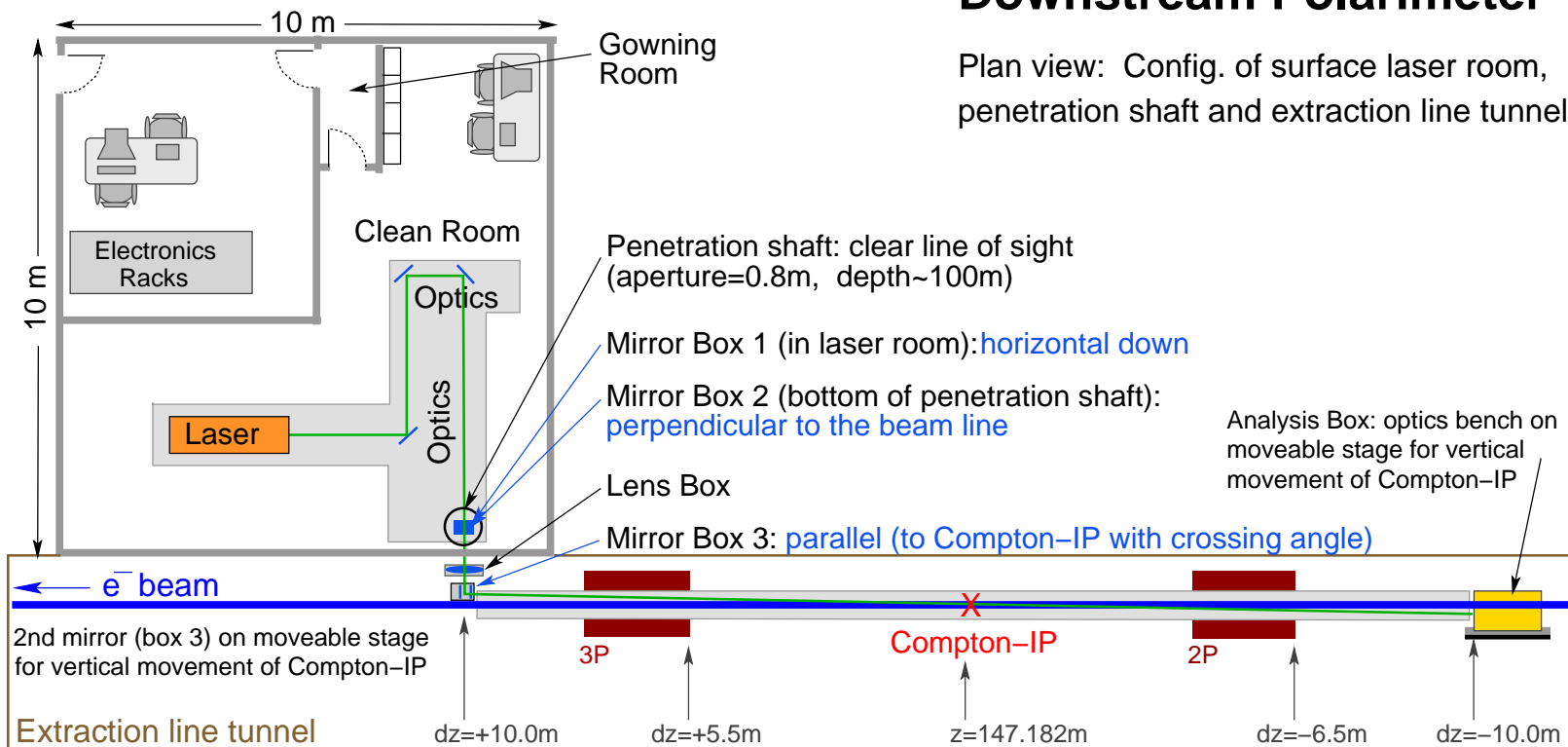


$\Rightarrow$  Reached a tilt alignment of  $0.1^\circ$ . [JINST 7, P01019 (2012)]

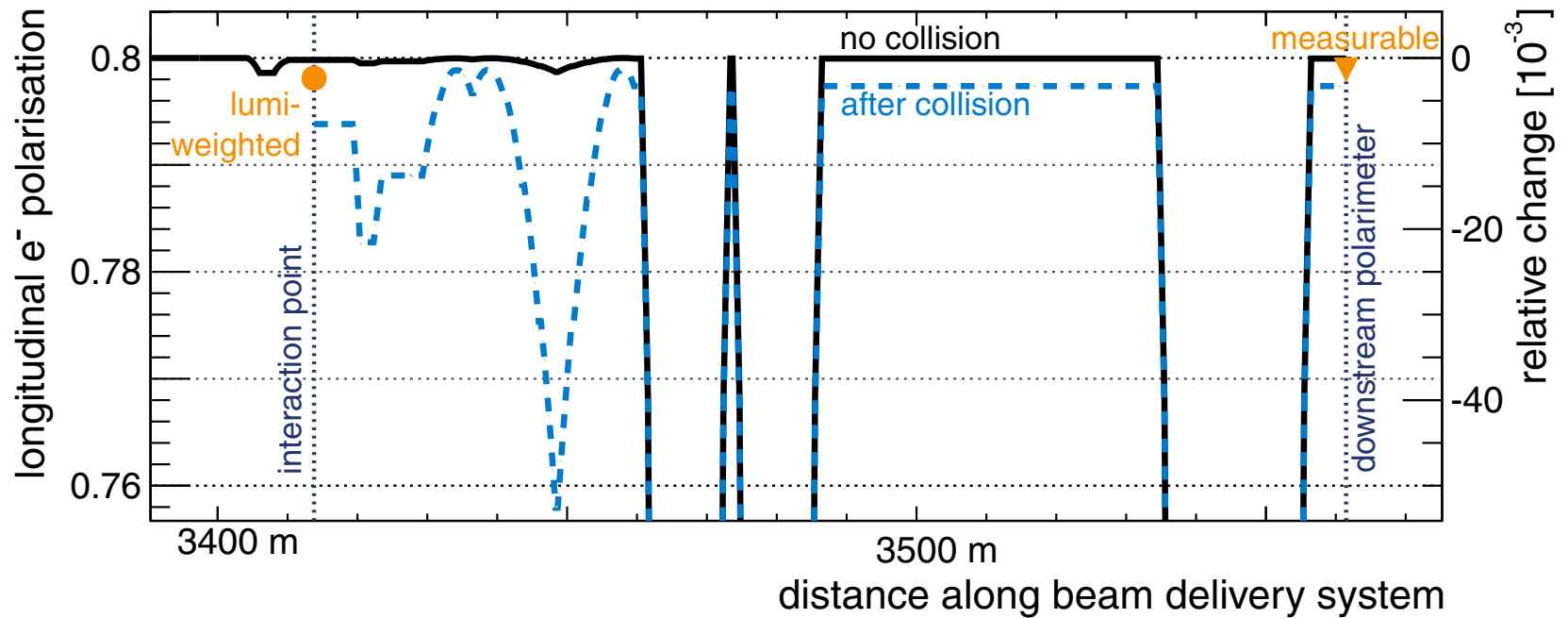


# Laser Room.

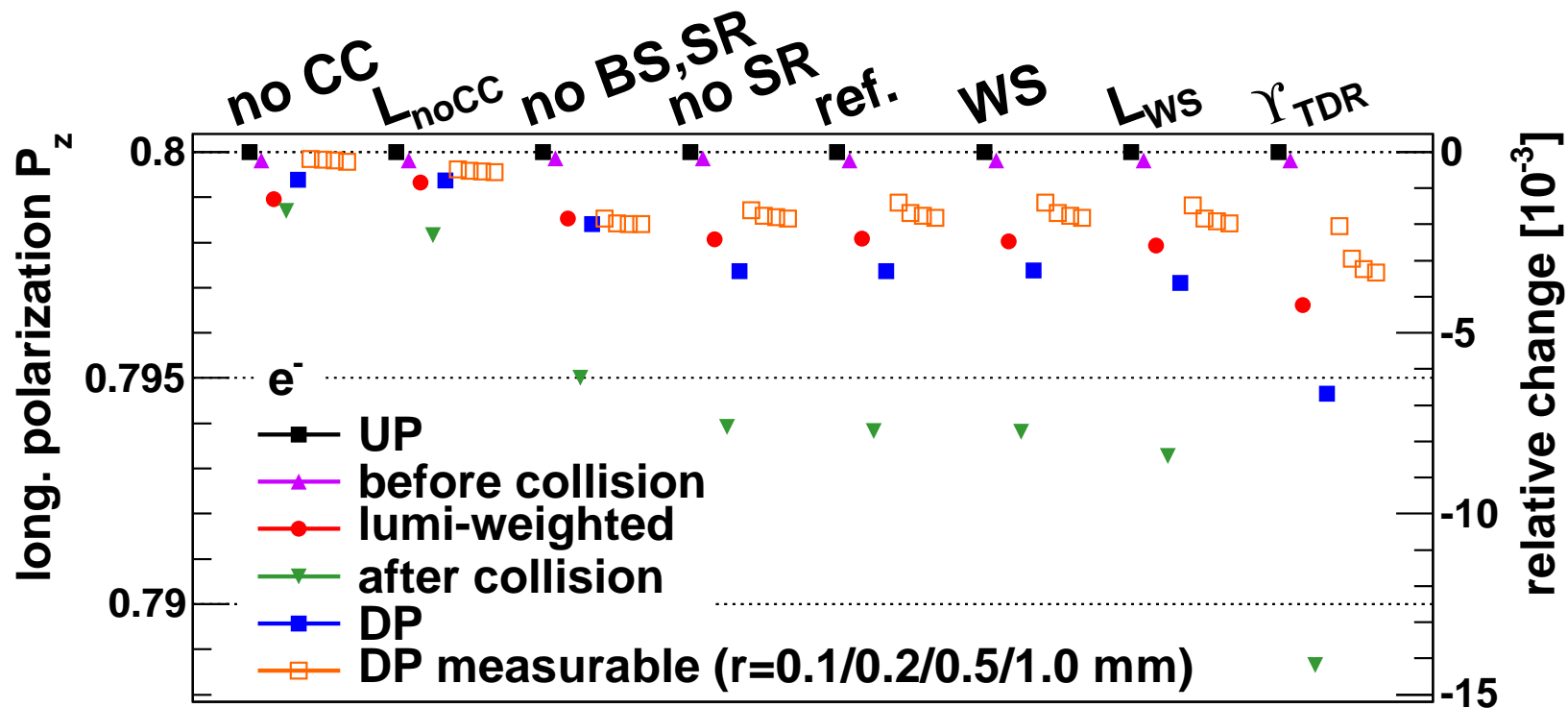
Laser Room on surface (10m x 10m x 3m)



# Spin transport.

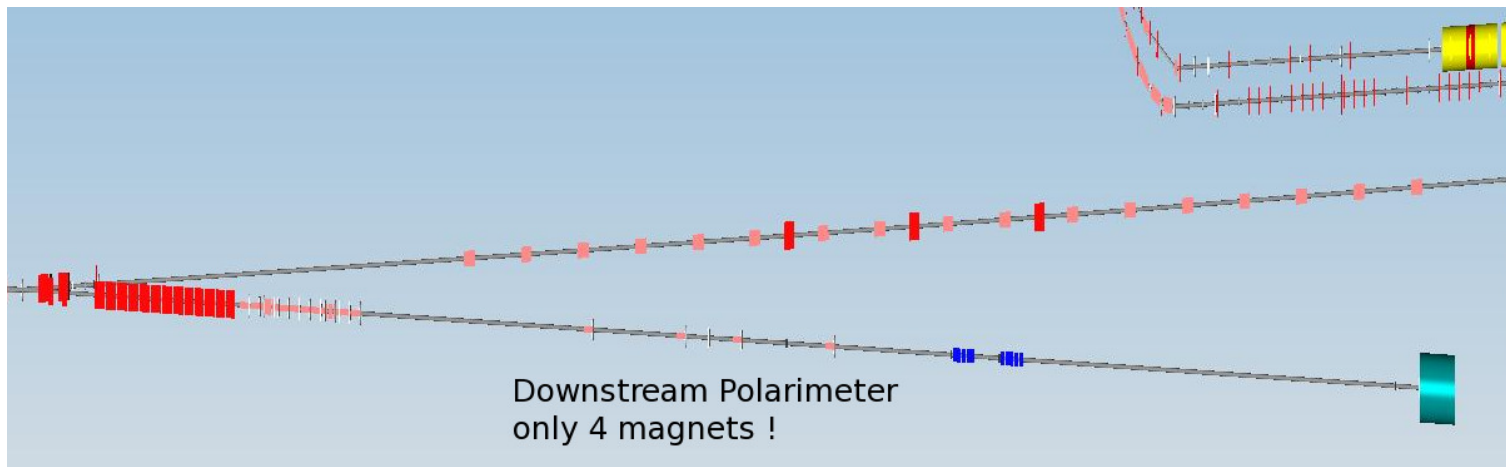


# Spin tracking (more).



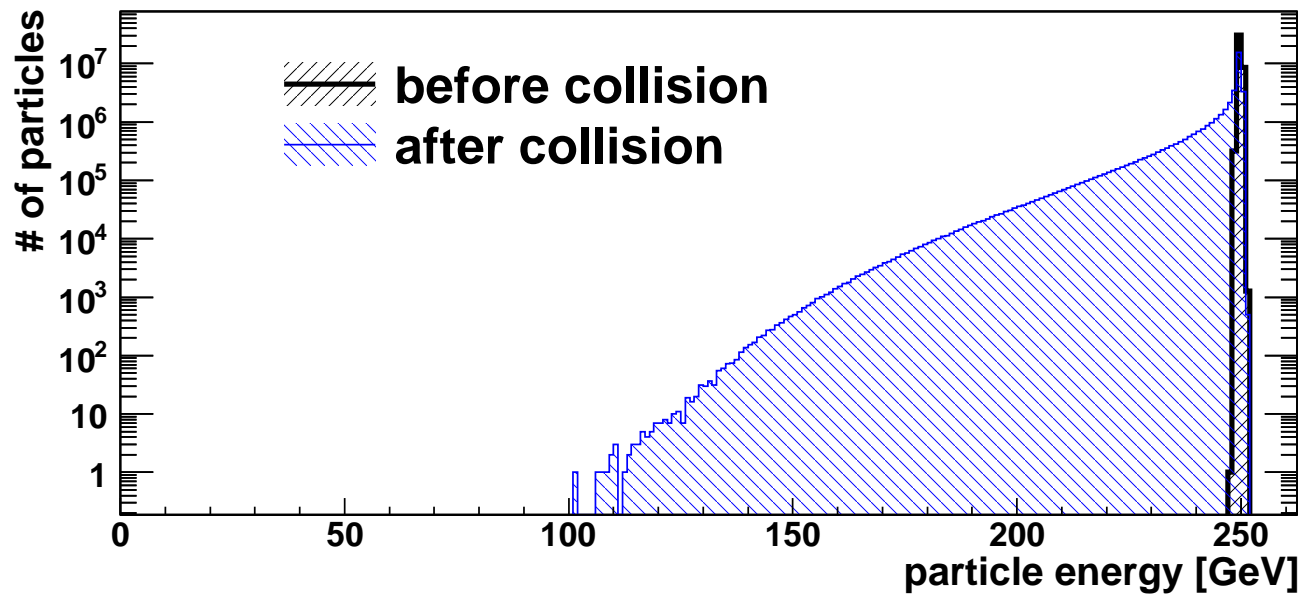
# Downstream Polarimeter in SB2009-Nov10 lattice.

- still 4-magnet chicane - should be upgraded to 6-magnet design as proposed in SLAC-PUB-12425
- necessary due to push-pull related changes to the extraction SC quadrupoles
- at the same time gives better shielding of magnets due to additional collimators
- even more impact due to worse spent beam in low power configuration....



# Beam Energy Spectrum with Collisions.

GuineaPig++, RDR nominal,  $\sqrt{s} = 500$  GeV

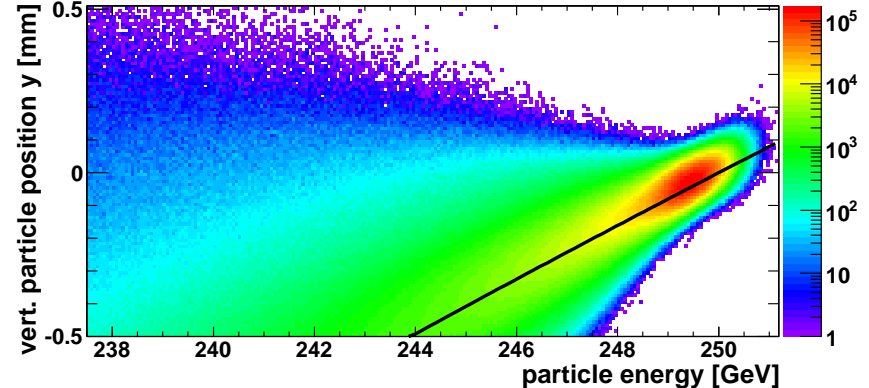
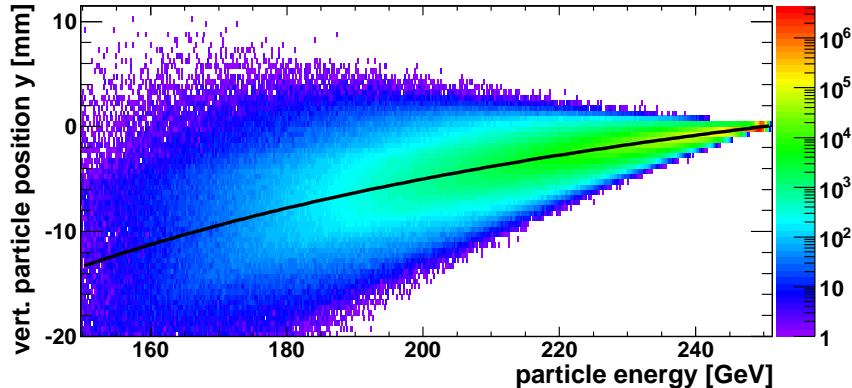


How will this influence the measurement at the downstream polarimeter?

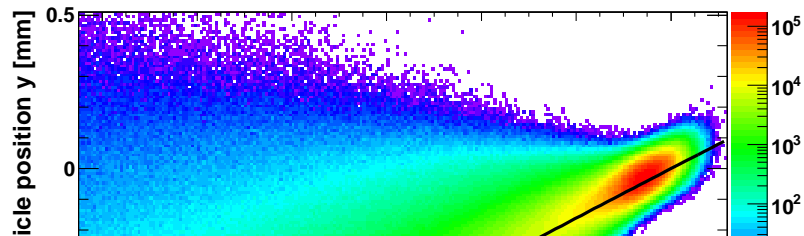
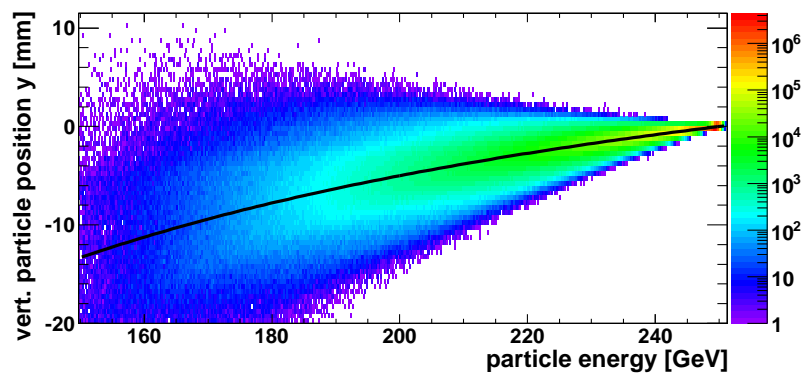
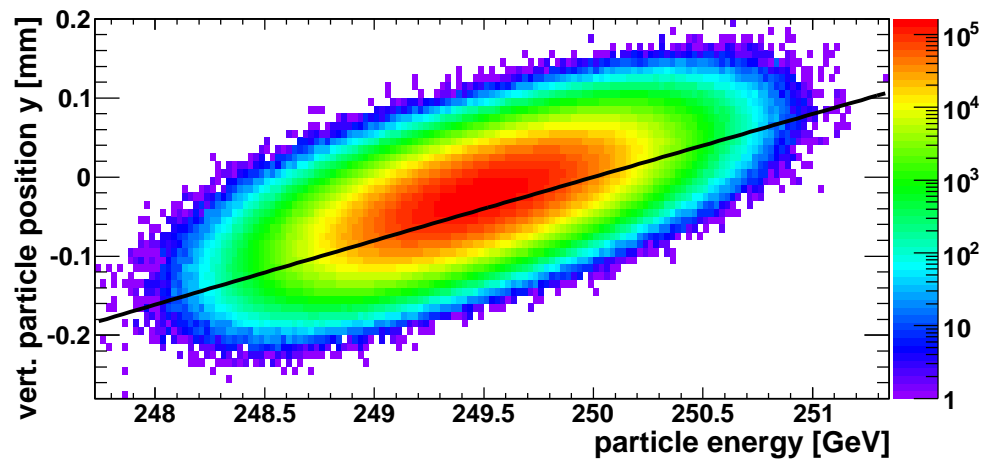
# $y$ vs $E$ at DP IP.

## Particle Tracking through SB2009-Nov10 lattice (M.Beckmann)

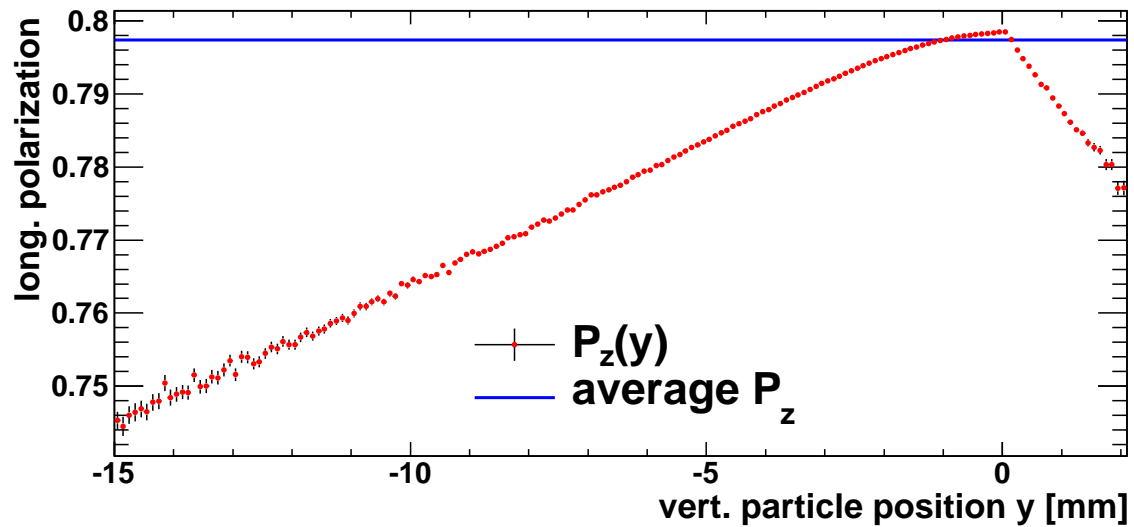
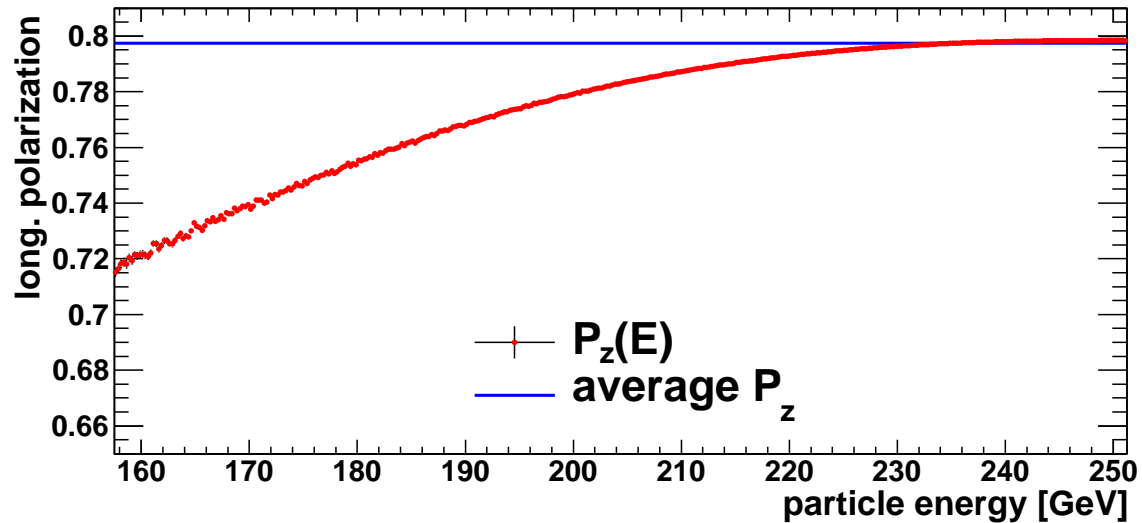
- vertical extension of spent beam at DP IP  $\mathcal{O}(\text{cm})$
- “core” size still  $\simeq 0.5 \text{ mm}$
- sizable correlation of energy and position
- which part will the laser sample?
- expect dependence of measured polarisation on laser spot size and laser-beam alignment



# Downstream Polarimeter: $y$ vs $E$ .

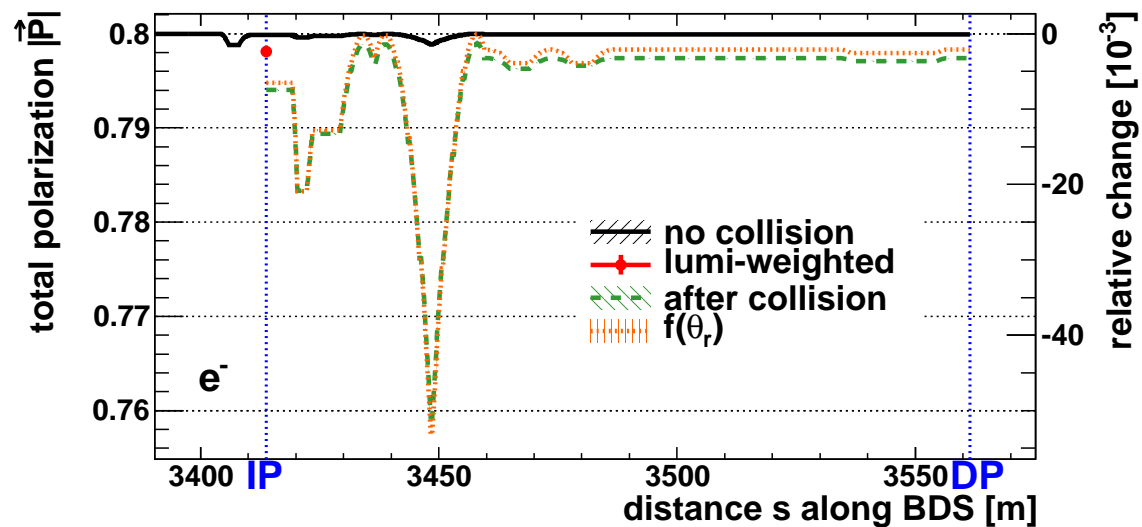
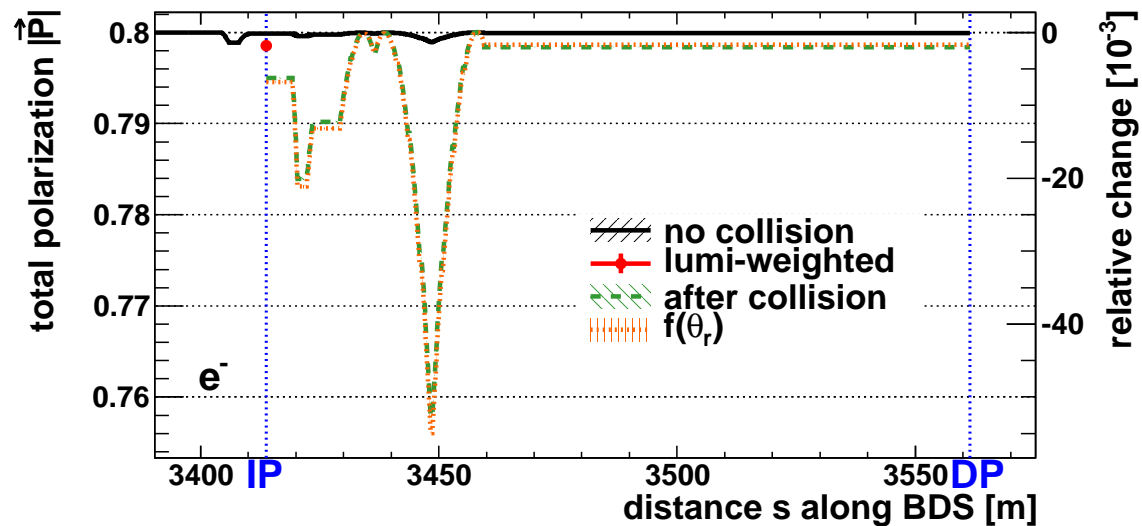


# Downstream Polarimeter: $P_z$ vs $E$ , $P_z$ vs $y$ .





# Total Polarisation IP $\rightarrow$ DP



# Polarisation for Physics.

Longitudinal polarisation  $P_z = \frac{N_R - N_L}{N_R + N_L}$

with  $N_{R,L}$ : number of right-/left-handed particles in bunch

- SM & BSM: left- and righthanded particles couple differently
  - polarised cross-sections are important observables carrying **qualitatively** new information!
  - beam polarisation can suppress background / enhance signal

- wanted for physics: **luminosity weighted average polarisation**

at the IP,  $\langle P_z \rangle_{IP} = \frac{\int P_z(t) \mathcal{L}(t) dt}{\int \mathcal{L}(t) dt}$

- Note: most physics studies sofar assume this average is known exactly and independently for  $e^-$  and  $e^+$  beam.

$P \equiv P_z$  in the following.

# Polarised Cross-sections.

$$\sigma_{P_{e^-} P_{e^+}} = \frac{1}{4} \left\{ \begin{aligned} &(1 + P_{e^-})(1 + P_{e^+})\sigma_{RR} + (1 - P_{e^-})(1 - P_{e^+})\sigma_{LL} \\ &+ (1 + P_{e^-})(1 - P_{e^+})\sigma_{RL} + (1 - P_{e^-})(1 + P_{e^+})\sigma_{LR} \end{aligned} \right\}$$

processes with s-channel  $Z/\gamma$  exchange only:

- $\sigma_{RR} = \sigma_{LL} = 0$
- $4\sigma_{P_{e^-} P_{e^+}} = (1 - P_{e^-} P_{e^+})(\sigma_{LR} + \sigma_{RL})[1 - P_{\text{eff}}^- A_{LR}]$
- with  $P_{\text{eff}}^- = 1 - \frac{P_{e^-} - P_{e^+}}{1 - P_{e^-} P_{e^+}}$  and  $A_{LR} = \frac{\sigma_{LR} - \sigma_{RL}}{\sigma_{LR} + \sigma_{RL}}$

general case:

- $\sigma_{RR} \neq \sigma_{LL} \neq 0$
- $4\sigma_{P_{e^-} P_{e^+}} = (1 + P_{e^-} P_{e^+})(\sigma_{LL} + \sigma_{RR})[1 + P_{\text{eff}}^+ A_{LLRR}] + \text{above}$
- with  $P_{\text{eff}}^+ = 1 + \frac{P_{e^-} + P_{e^+}}{1 + P_{e^-} P_{e^+}}$  and  $A_{LLRR} = \frac{\sigma_{LL} - \sigma_{RR}}{\sigma_{LL} + \sigma_{RR}}$

# Polarisation Averages.

Absolute cross-section measurements require:

- $\langle P_{e^\pm} \rangle_{IP} = \frac{\int P_{e^\pm}(t) \mathcal{L}(t) dt}{\int \mathcal{L}(t) dt}$
- $\langle P_{e^-} P_{e^+} \rangle_{IP} = \frac{\int P_{e^-}(t) P_{e^+}(t) \mathcal{L}(t) dt}{\int \mathcal{L}(t) dt}$
- correlations between lumi and polarisation?!

Direct extraction from collision data

- any abundant, well-known, polarisation dependent process:
- $\langle | P_{e^\pm} | \rangle_{IP} = \sqrt{\frac{(\sigma_{-+} + \sigma_{+-} - \sigma_{--} - \sigma_{++})(\pm\sigma_{-+} \mp \sigma_{+-} + \sigma_{--} - \sigma_{++})}{(\sigma_{-+} + \sigma_{+-} + \sigma_{--} + \sigma_{++})(\pm\sigma_{-+} \mp \sigma_{+-} - \sigma_{--} + \sigma_{++})}}$
- $\sigma_{+-}$  is total cross-section for  $P(e^-, e^+) = (+x\%, -y\%)$ , etc.
- assumes  $P_+(e^-) = -P_-(e^-)$  and  $P_+(e^+) = -P_-(e^+)$

# Correction to modified Blondel scheme.

$$P_+(e^\pm) = P^\pm + \epsilon^\pm \text{ and } P_-(e^\pm) = P^\pm - \epsilon^\pm$$

