



# Timing for DAQ

A physicist's perspective

Özgür Sahin

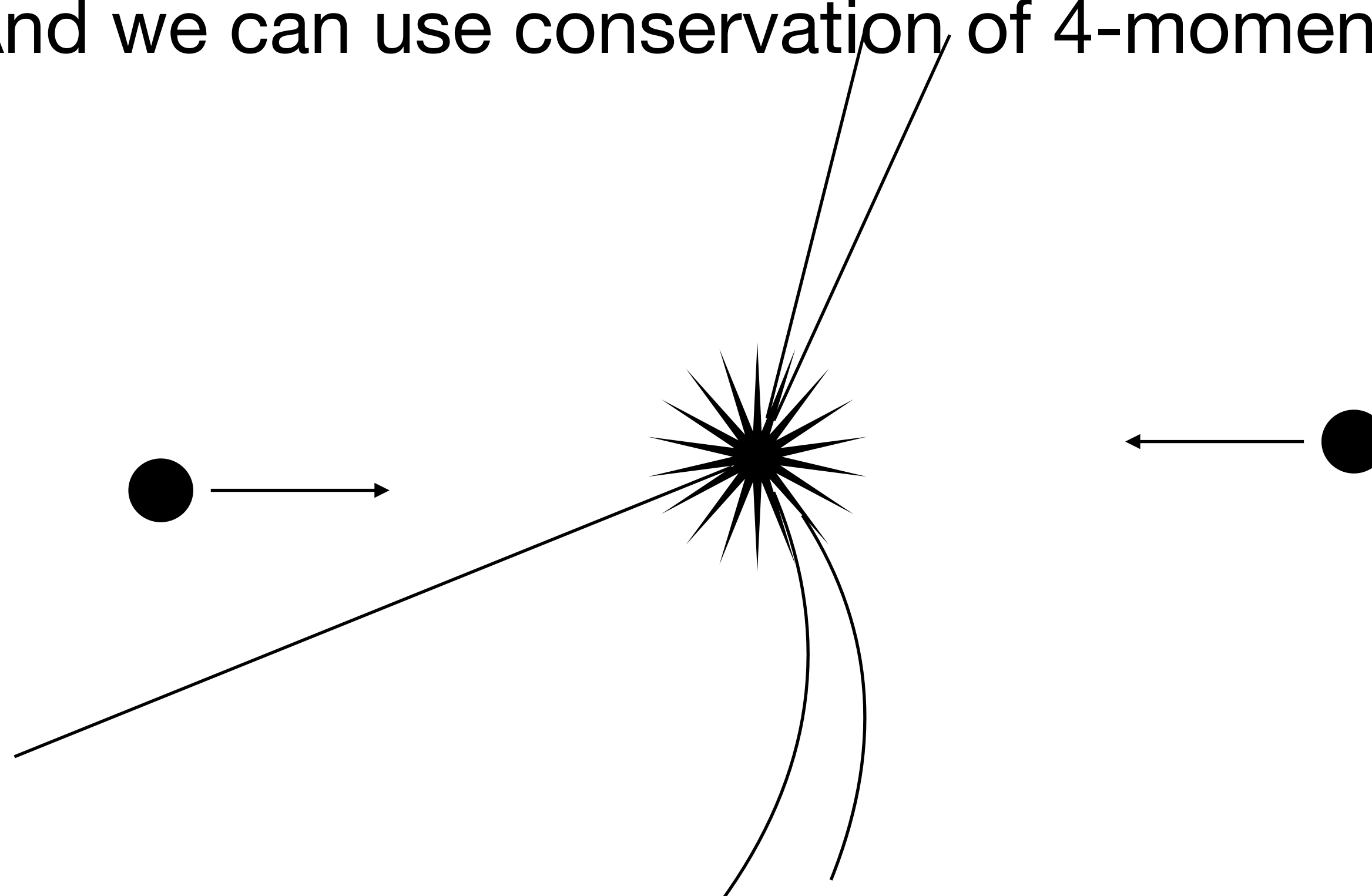
CEA Paris Saclay / Irfu

20 June 2023



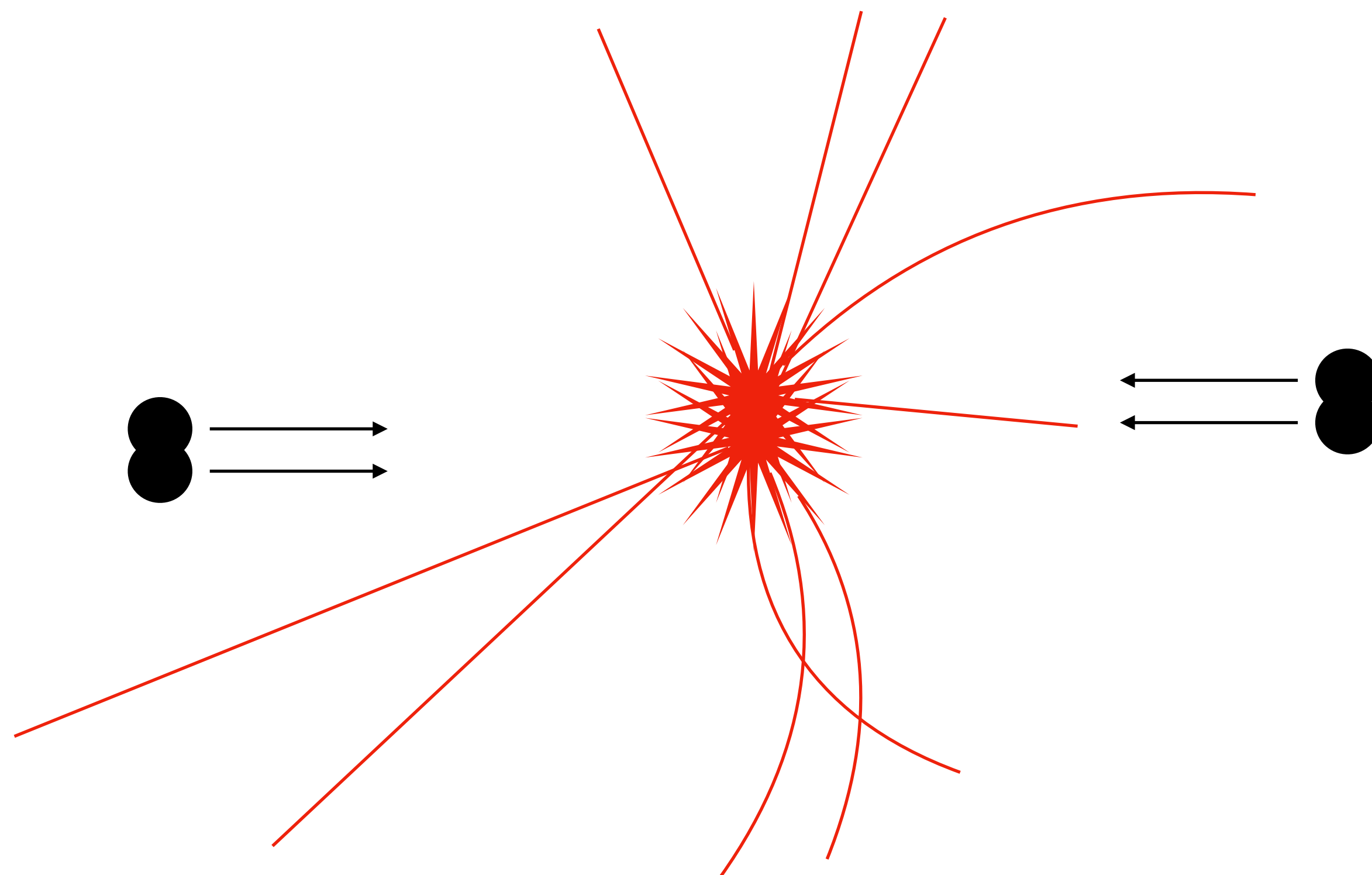
# Why do we need precision timing?

- In order to reconstruct an event at each collision, we need to match each track and deposit observed in the detector with the vertex from which it originates.
- And we can use conservation of 4-momentum.



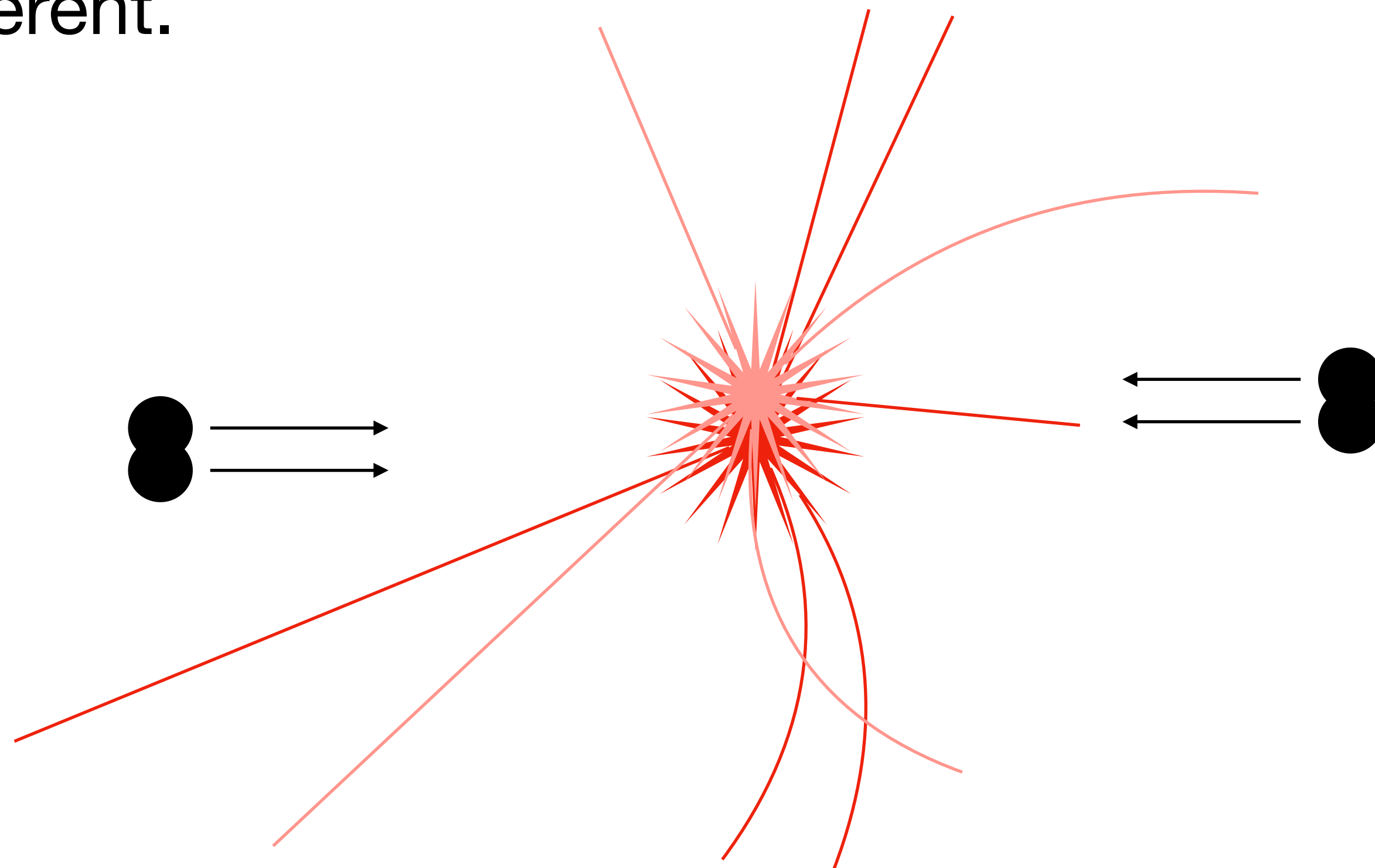
# Why do we need precision timing?

- Now we want to increase our chance of observing collisions.
  - Increase luminosity, more dense beams!



# Why do we need precision timing?

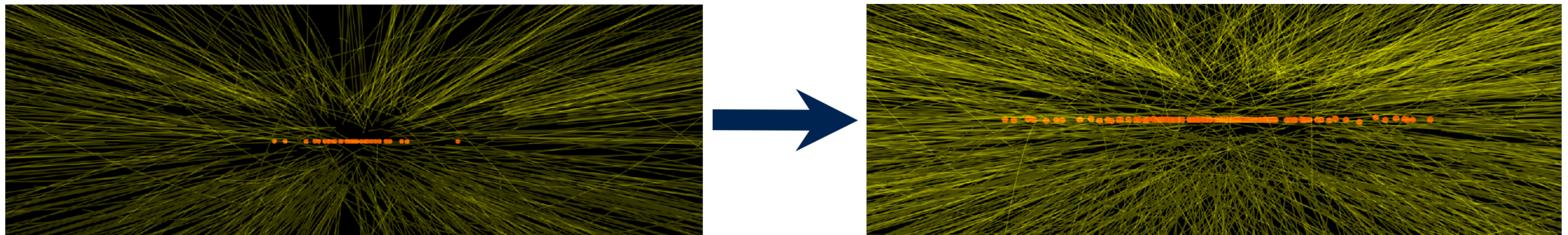
- When available dimensions are not enough, we can always look into photo in a different dimension (if it is available).
- For example the timing of these two collisions appear to be slightly different.
- By introducing precision timing we can distinguish between these events.





# Materializing the concept

- Starting from 2028, **High Luminosity - Large Hadron Collider** will deliver **10 times more integrated luminosity**.
- Significant challenge for the detectors;
  - up to **5 times more simultaneous collisions**, which will degrade the physics performance.



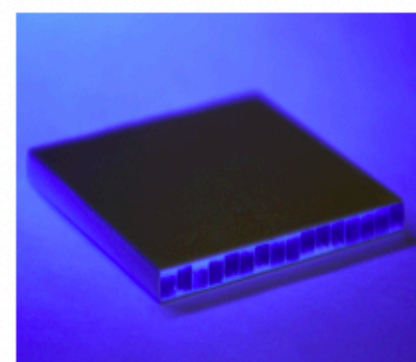
- The LHC detectors will be upgraded (**Phase II - HL upgrade**)



# An example solution

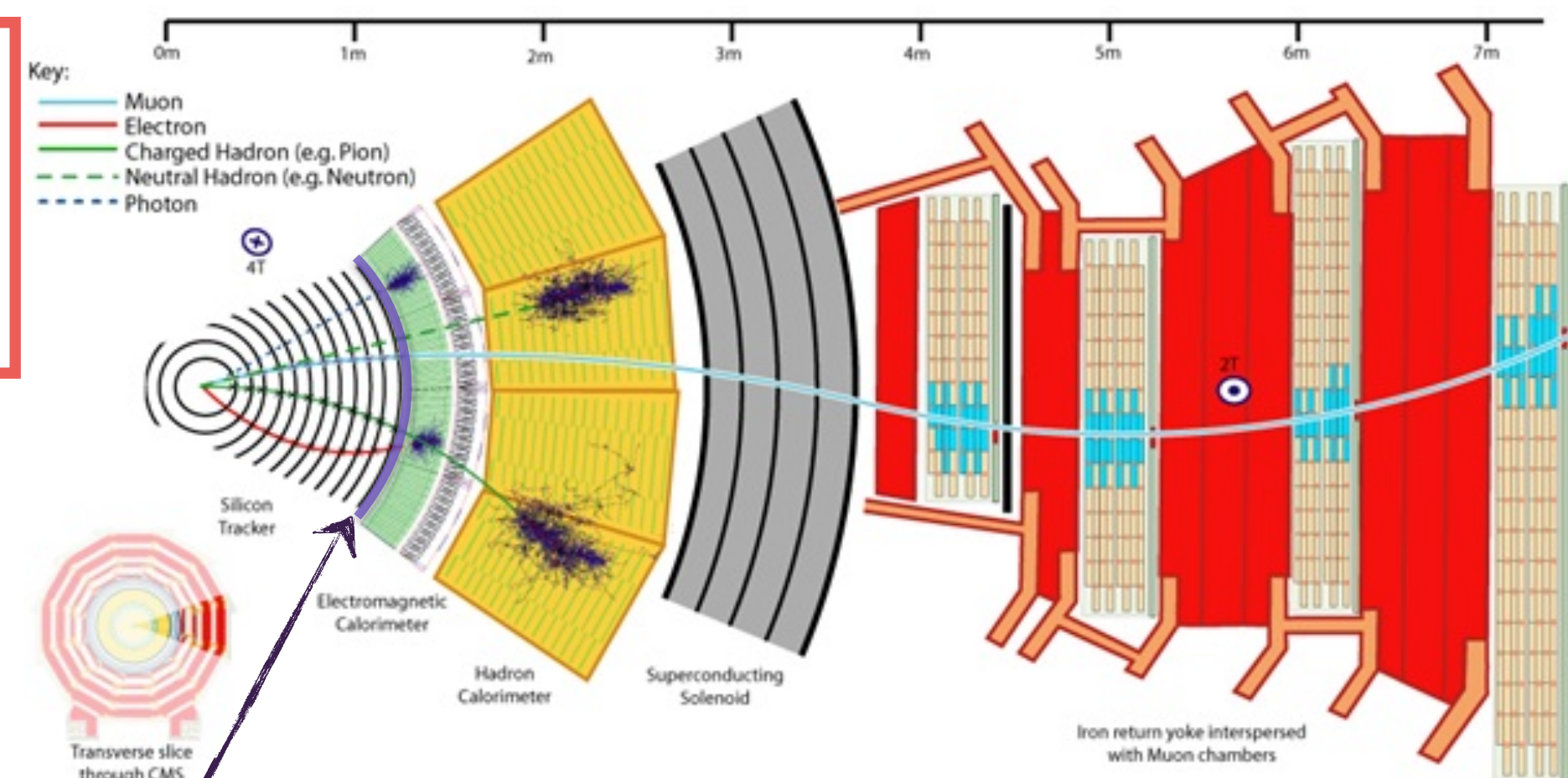
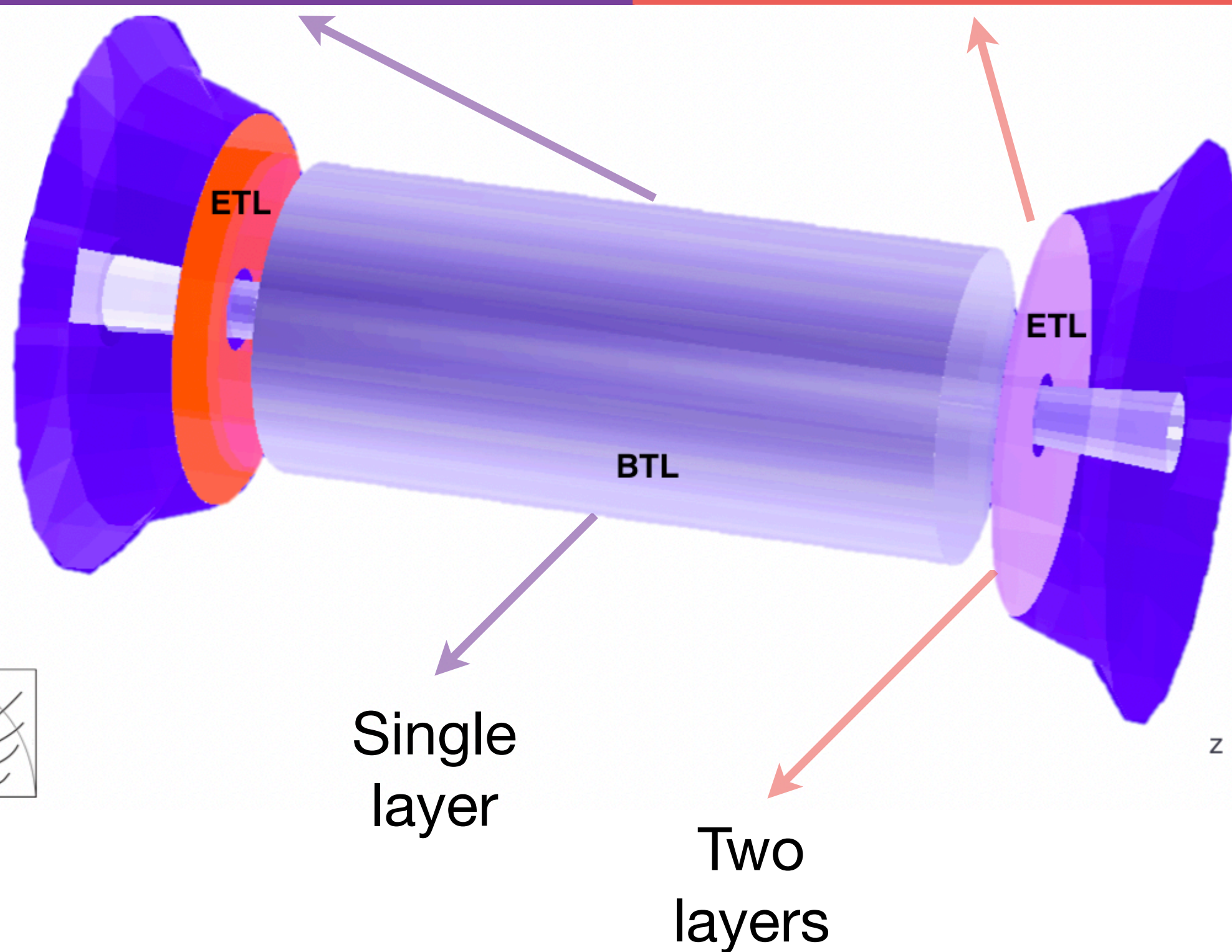
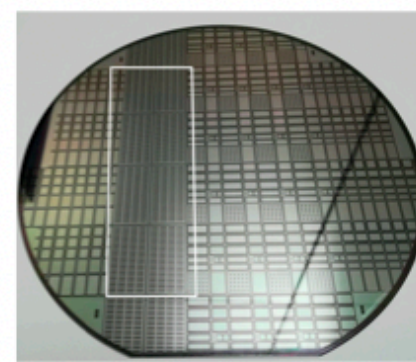
## BTL: LYSO bars + SiPM readout:

- TK / ECAL interface:  $|\eta| < 1.45$
- Inner radius: 1148 mm (40 mm thick)
- Length:  $\pm 2.6$  m along z
- Surface  $\sim 38 \text{ m}^2$ ; 332k channels
- Fluence at  $4 \text{ ab}^{-1}$ :  $2 \times 10^{14} n_{\text{eq}}/\text{cm}^2$



## ETL: Si with internal gain (LGAD):

- On the CE nose:  $1.6 < |\eta| < 3.0$
- Radius:  $315 < R < 1200$  mm
- Position in z:  $\pm 3.0$  m (45 mm thick)
- Surface  $\sim 14 \text{ m}^2$ ;  $\sim 8.5 \text{ M}$  channels
- Fluence at  $4 \text{ ab}^{-1}$ : up to  $2 \times 10^{15} n_{\text{eq}}/\text{cm}^2$



## MTD

The MIP timing detector (MTD) will have **35 ps resolution** at the beginning of its lifetime.

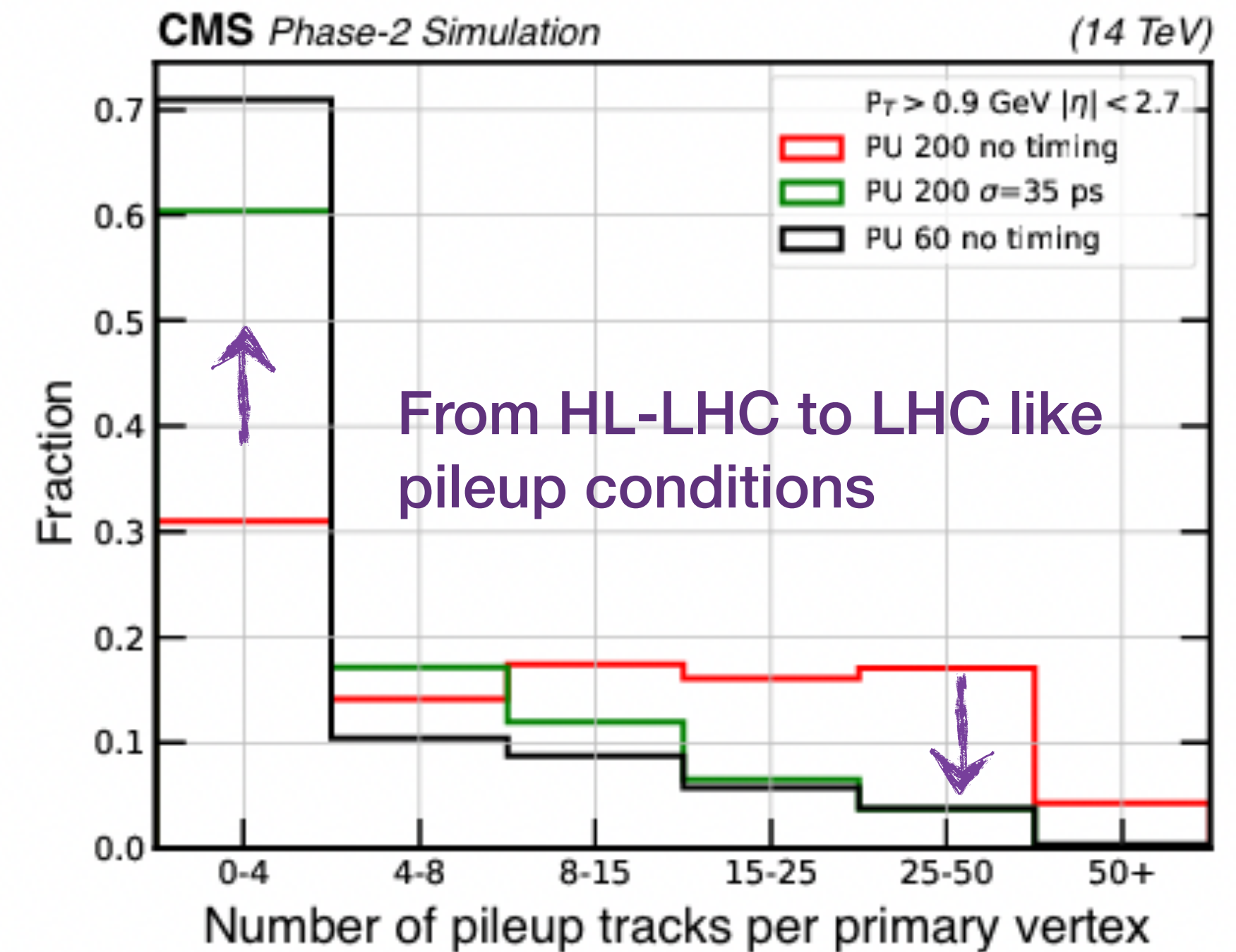
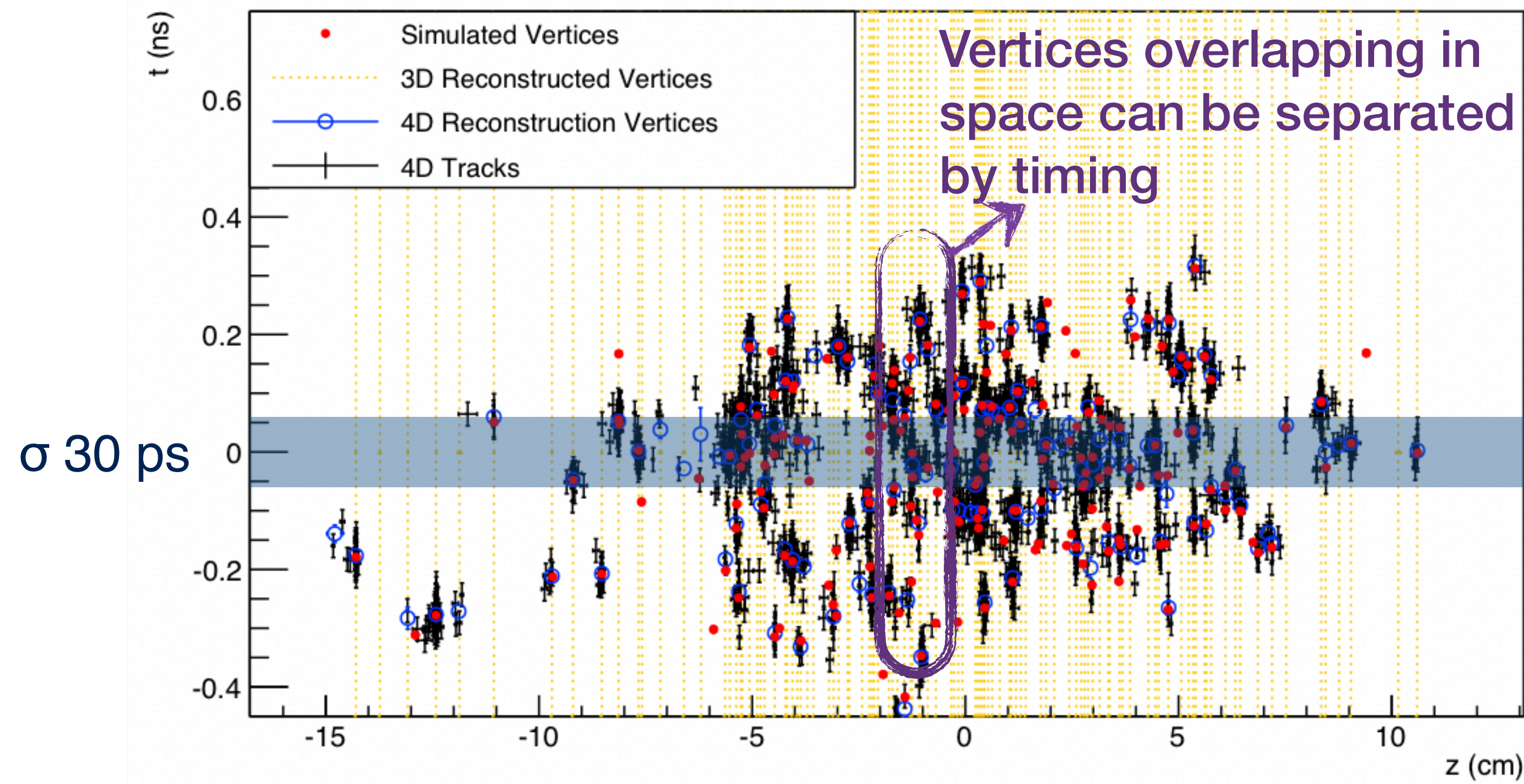
It will have an hermetic **coverage up to  $\eta=3$** .



# Timing detectors

- But there are more for Phase II:
  - In ATLAS: we will have HGTD
  - In CMS: In addition to MTD, we will have HGCAL, ECAL
- Furthermore, LHCb and ALICE will also introduce new precision timing detectors.

# Mitigating the pile up



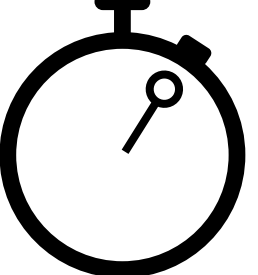
- We can use to mitigate the negative impact of the pile-up interactions.
- A precision of around 30 ps would recover Run3 (current) operation conditions.



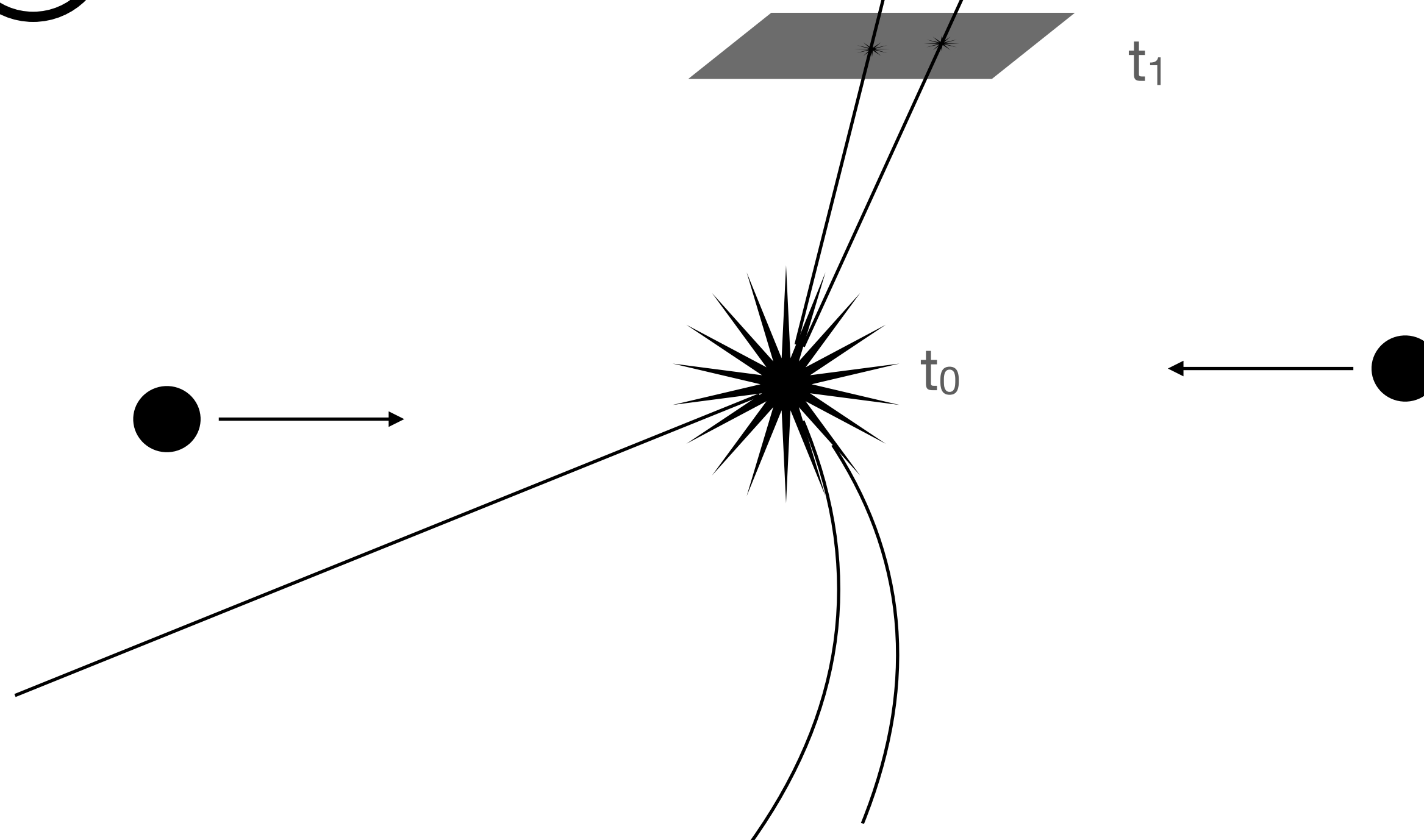
# How do we measure the timing?

- One can imagine the timing in the detector as a stopwatch measurement.

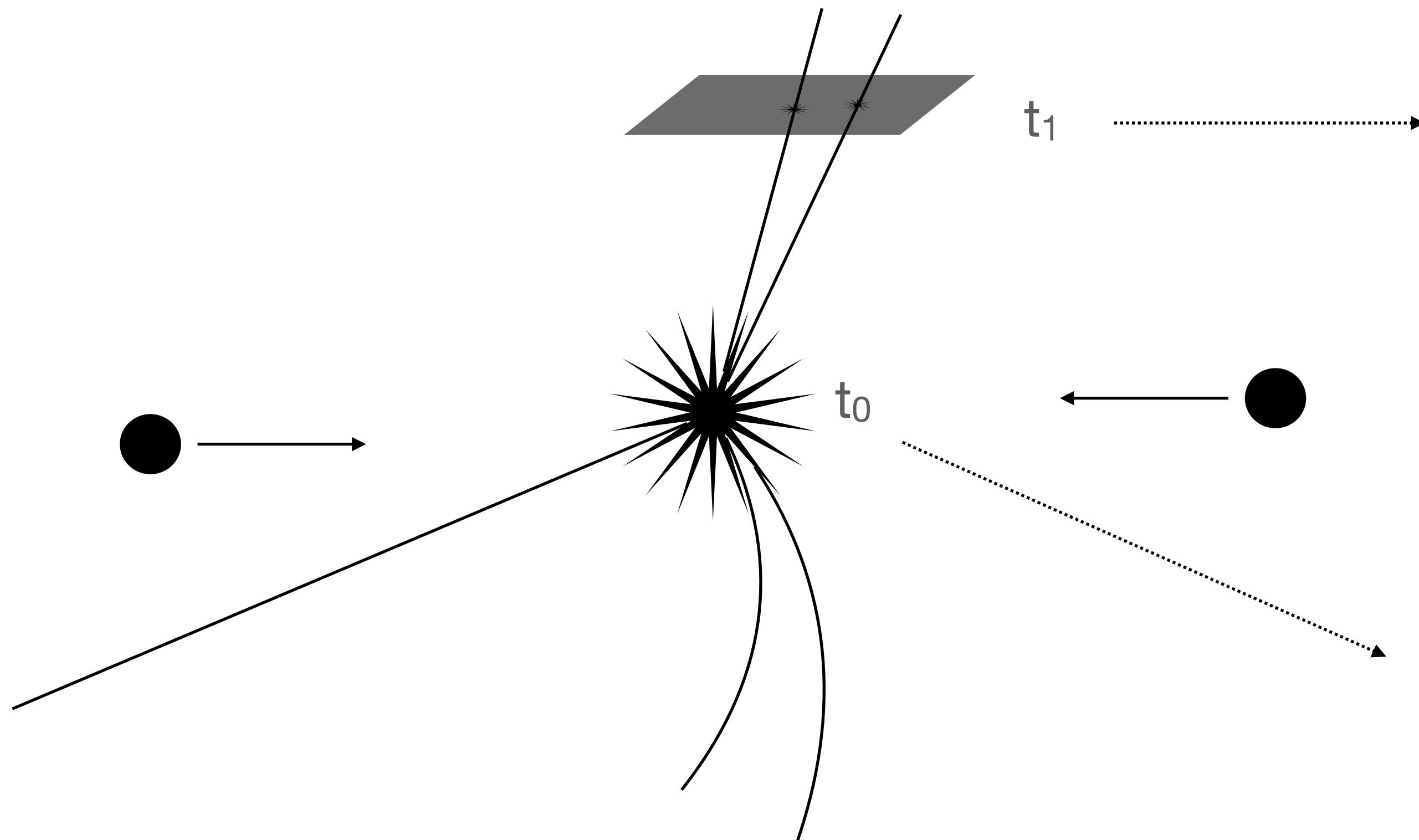
- $t_0$   marks the beginning of the measurement, collision instance.

- $t_1$   marks the arrival of the particle to the detector.

- $\Delta t = t_1 - t_0$



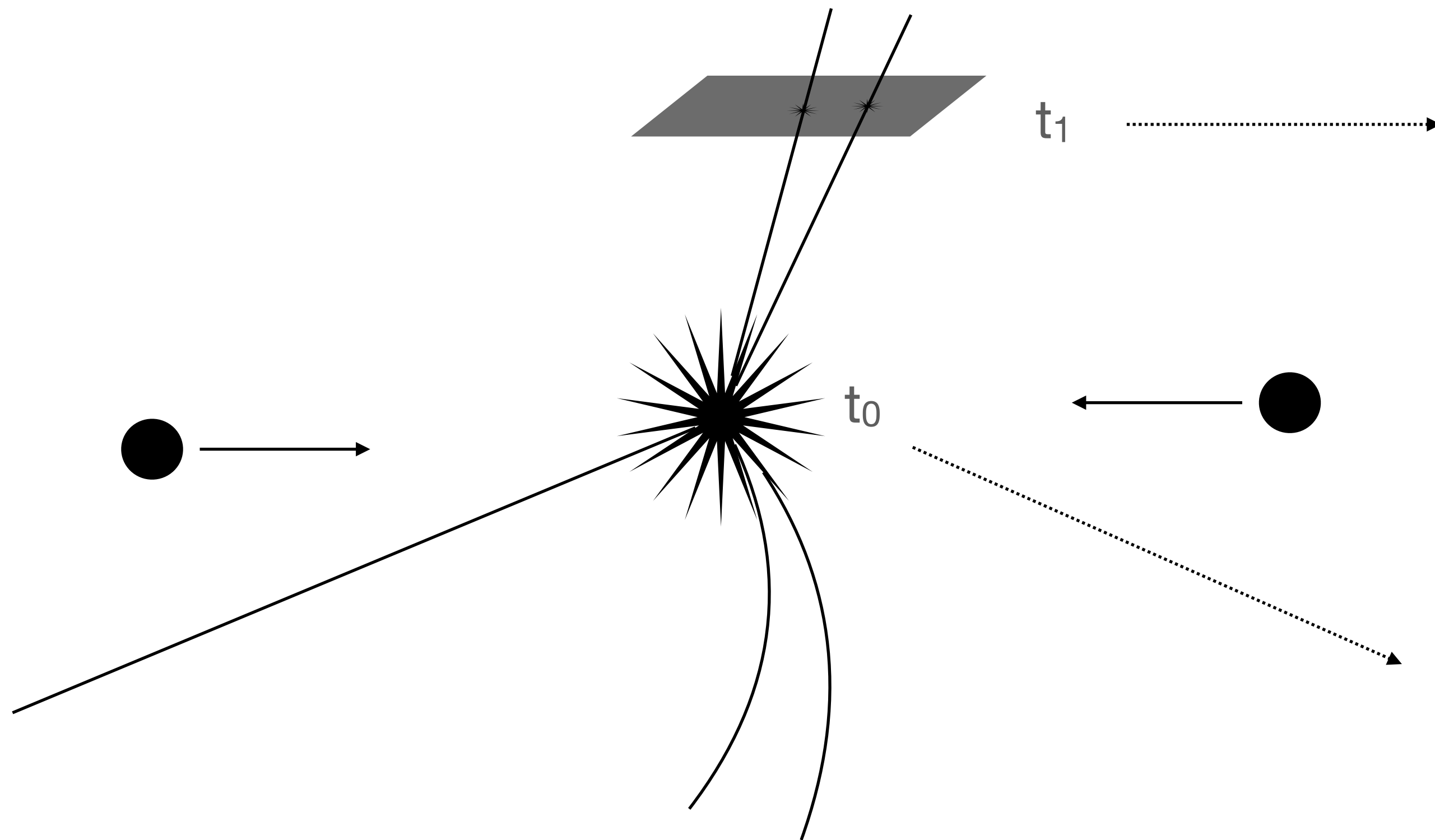
# How do we measure the timing?



- T1 is estimated by converting the analog sensor data to timing information using TDCs.
- LYSO crystals with SiPMs, LGAD silicon sensors, MAPS...
- Estimation of  $t_0$ , on the other hand, should be provided by the accelerator.

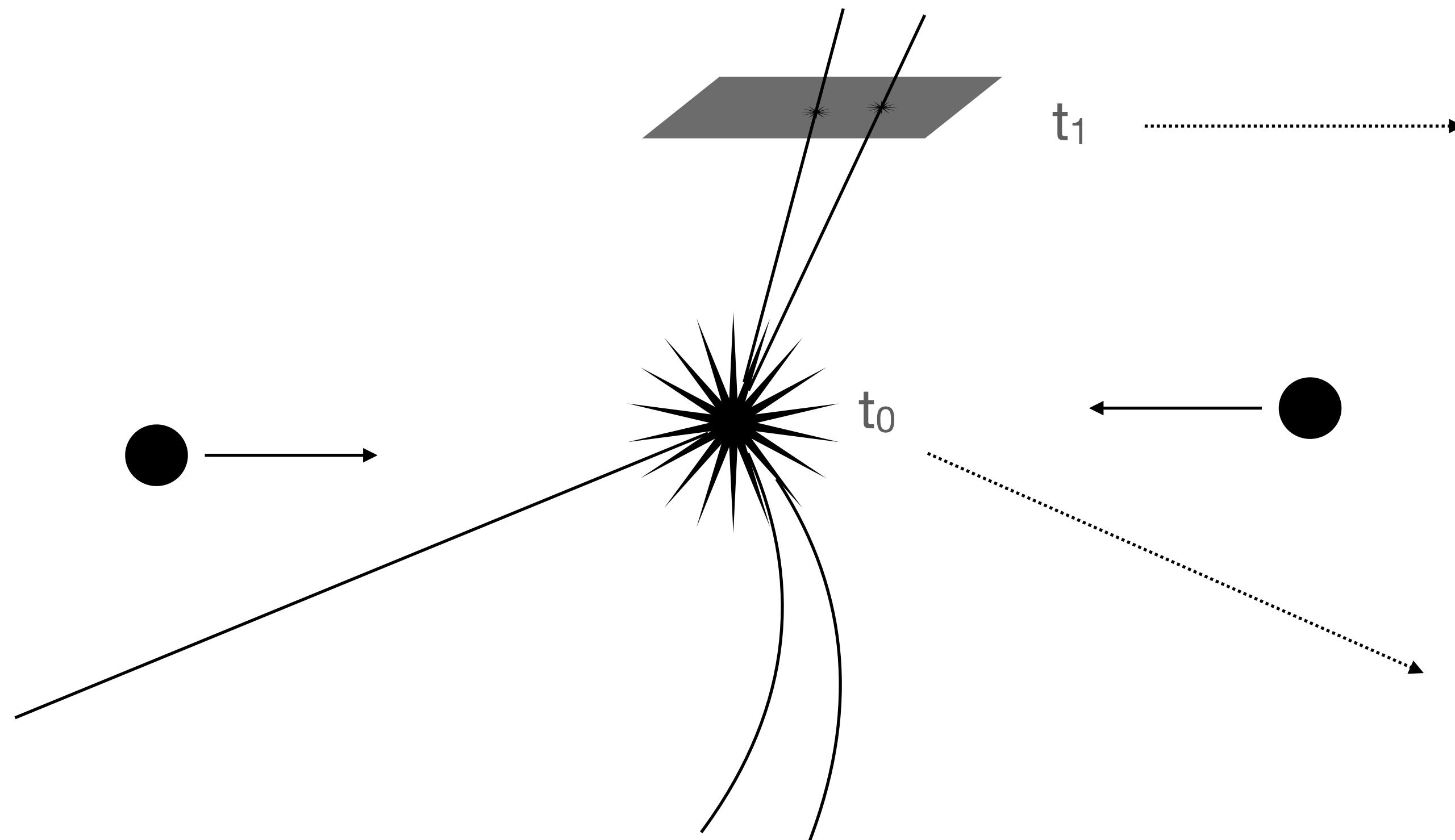


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# This lecture

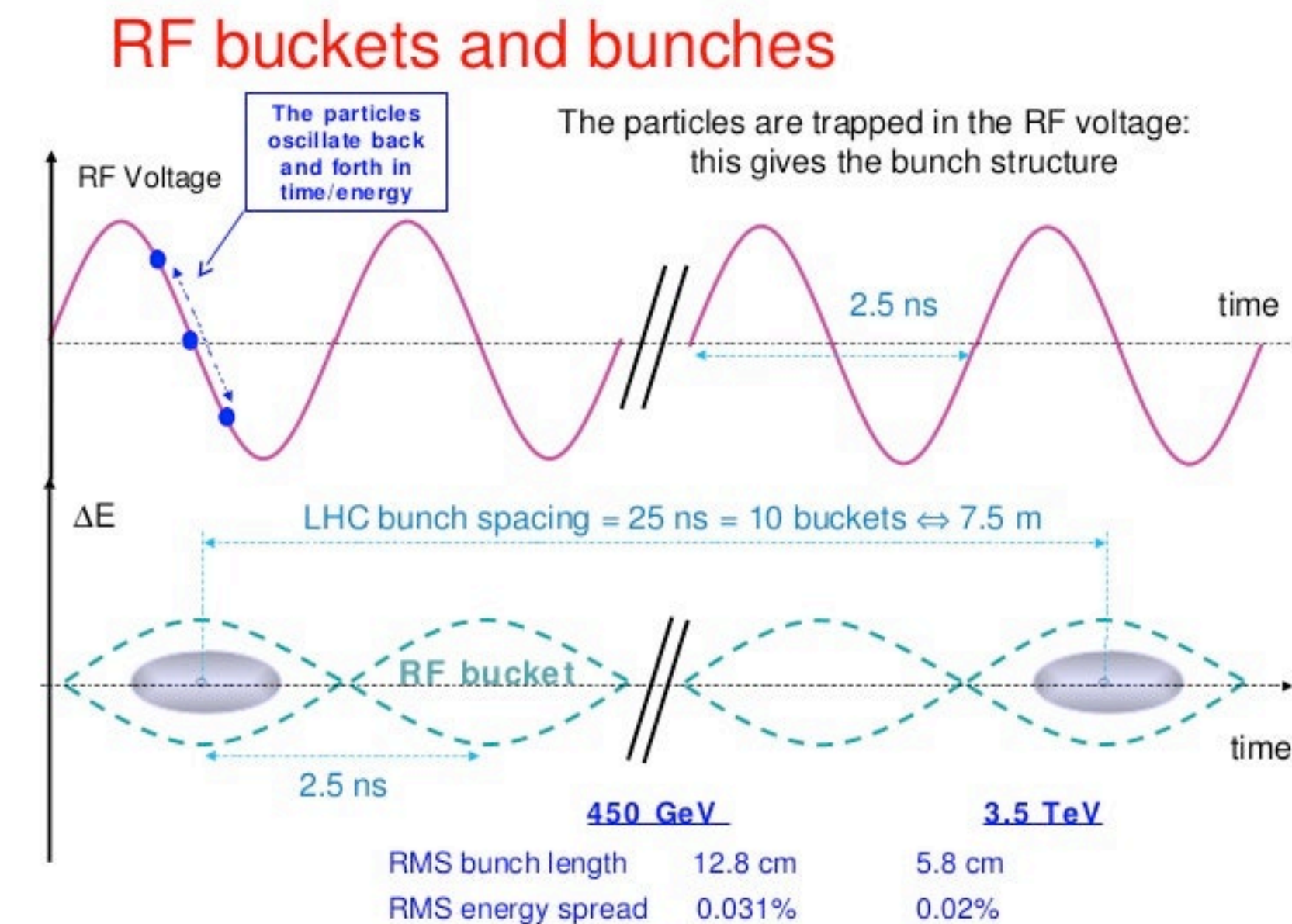
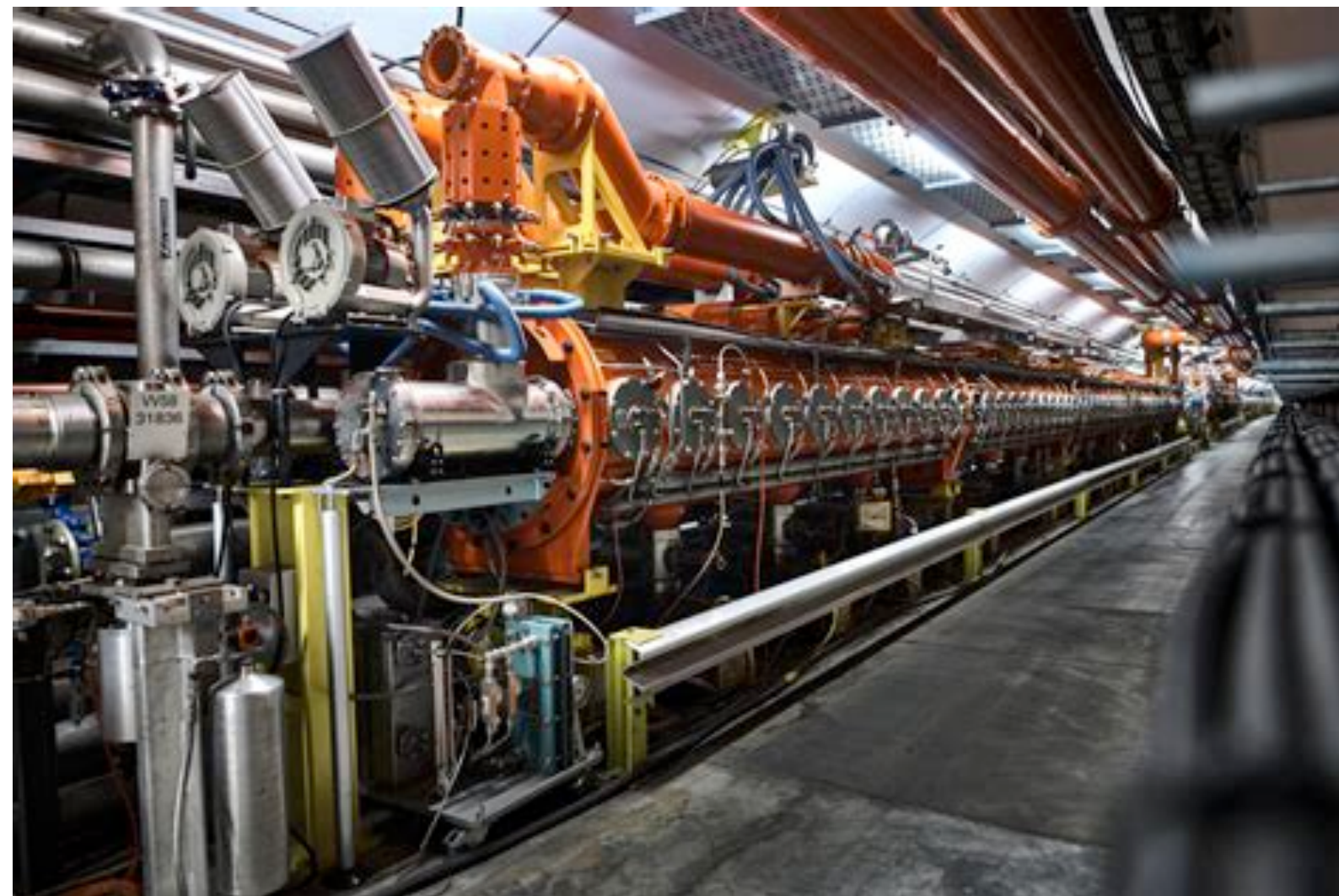


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# Collision timing from the LHC

- Bunch of particle are arranged by the RF cavities that are tuned to operate at 400.788 MHz.
- A bunch spacing of approximately 25 ns is achieved in these cavities.

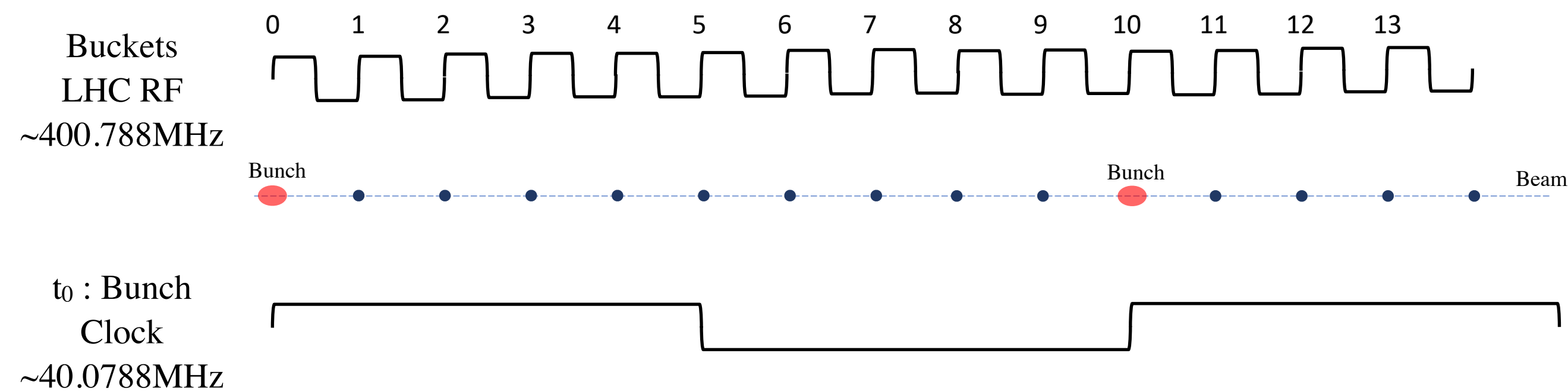


J. Wenninger LNF Spring School, May 2010

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# Collision timing from the LHC

- These neatly spaced bunches are then collide at the interaction points of the LHC.



- Therefore, the readout of the detectors are (and should be) synchronized to this clock.
- This the  **$t_0$  of the collision** - hence the start of the timing measurement.

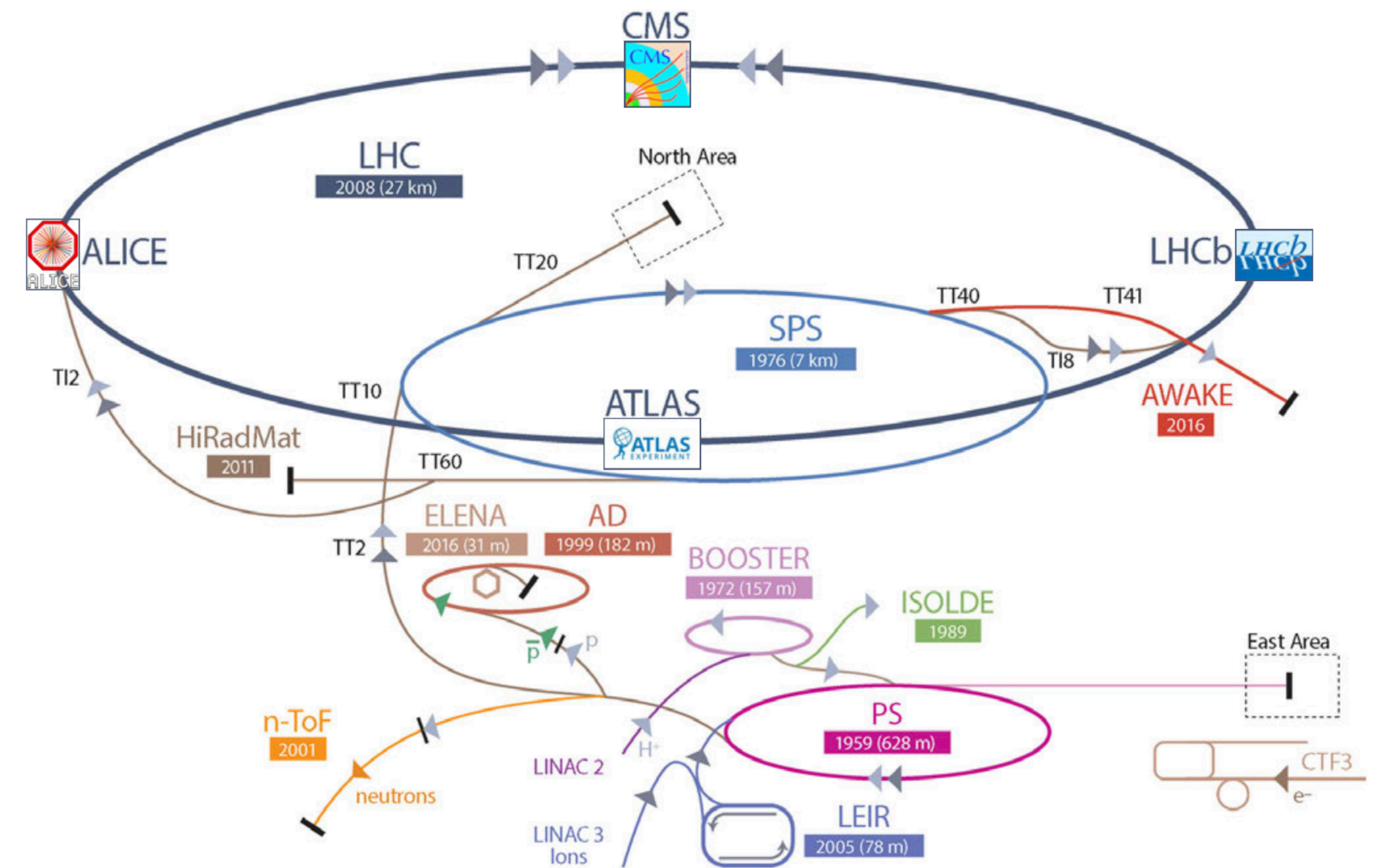


# Questions so far?

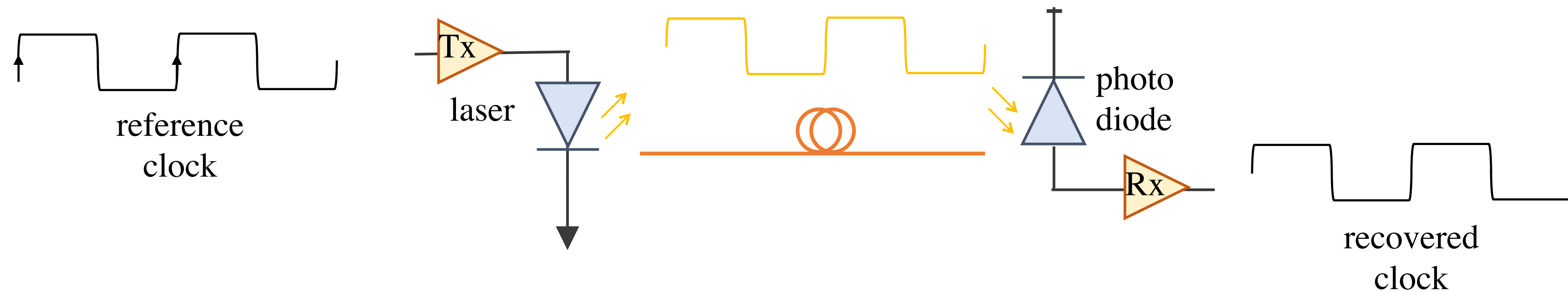
- After this lengthy introduction we will dive deep into more technical concepts.
- The slides are heavily inspired from the previous lectures given by the dear colleague E. Mendes (see last year's school).

# Timing distribution to the detectors

- So now we have the collision timing,
  - How do we distribute it to the detectors?
    - Send it as it is - pure clock,
    - Embed it into the data frame.



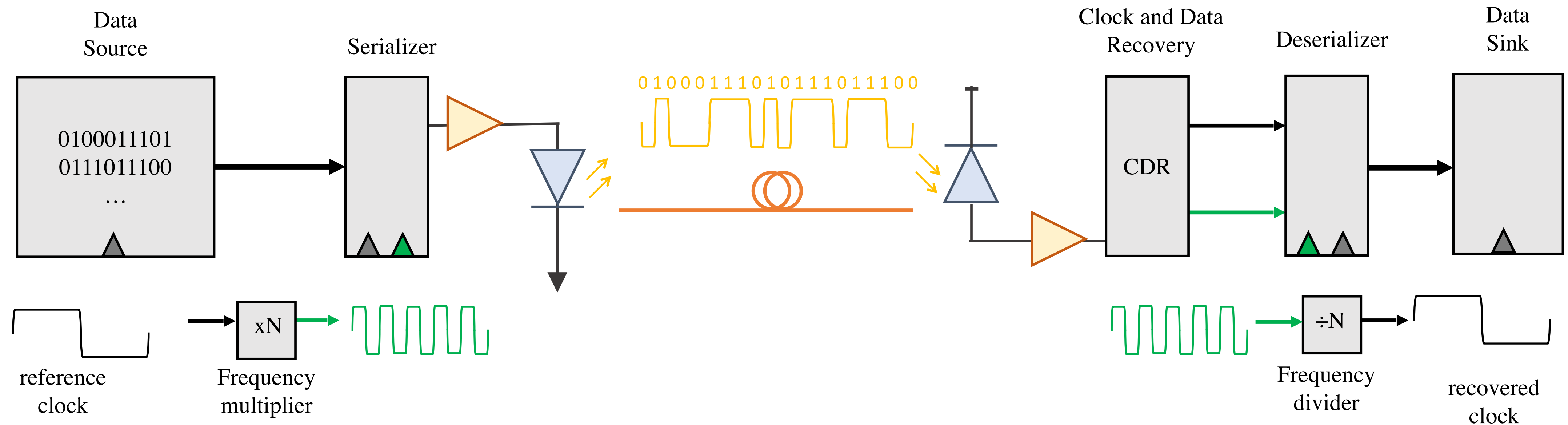
# Pure clock



- The clock is transmitted through different cables in the square wave form.
- This is the simplest way of transmitting the timing information.
  - However, not very efficient.

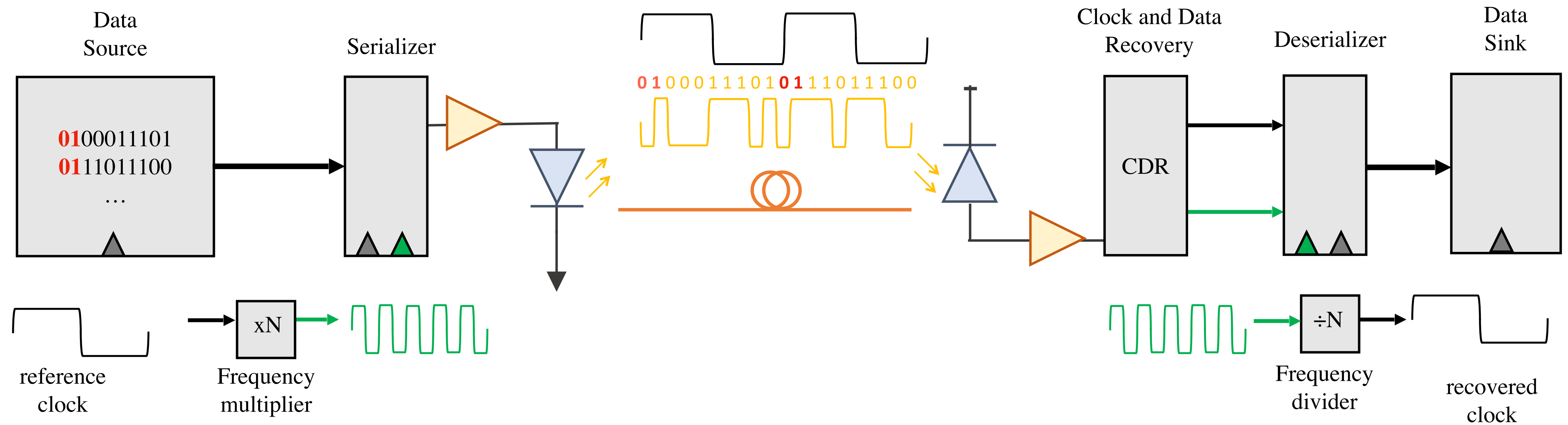


# Embedded clock



- There is a more efficient way of distributing the clock by embedding it to the data stream.
- Here, rather than distributing a square wave clock, the alignment data is transmitted encoded in the data.
- The receiver extracts the alignment information by checking the header bits and reconstructs the clock.

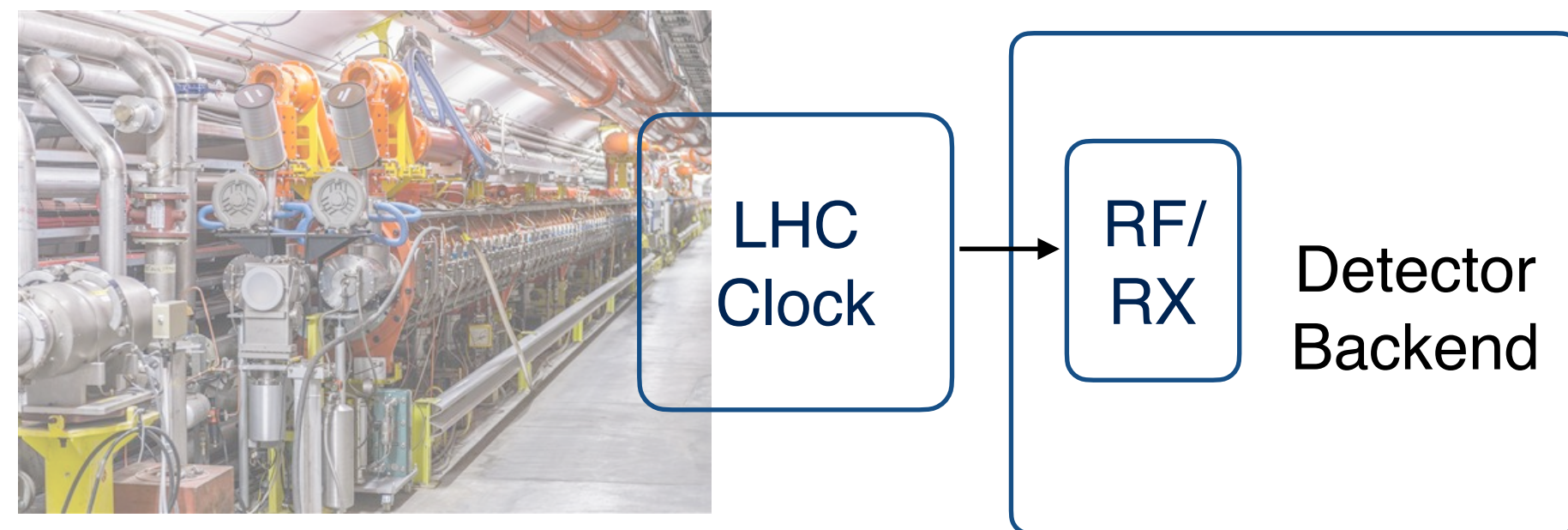
# Embedded clock



- With a rolling window, the logic will check if the header bits (in this example 01) appears at the same frequency.
- After checking it in predefined  $n$  sequences the logic 'locks' to the frame.
- A clock at the frequency of the sequence generation can be reconstructed!
- This allow us to transmit the clock and data in the same link cable.

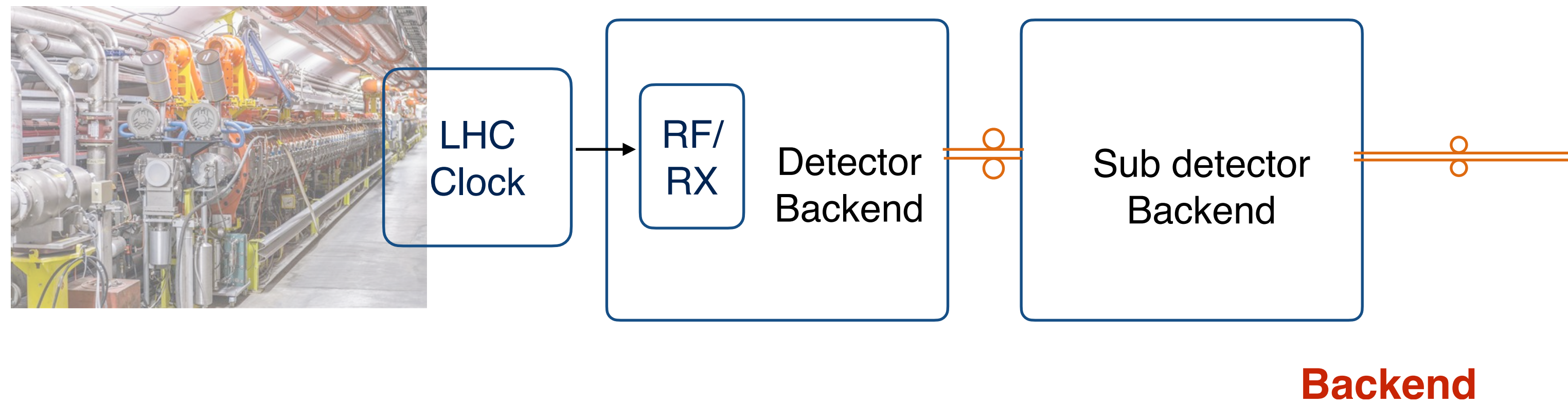


# A typical clock distribution chain



- The clock has a long way to reach to the detector in a large accelerator.
- There may be multiple connection points, opto-electrical conversions, kms to reach to the detector and some of hundred meters to be distributed over thousands of communication links within the detector!

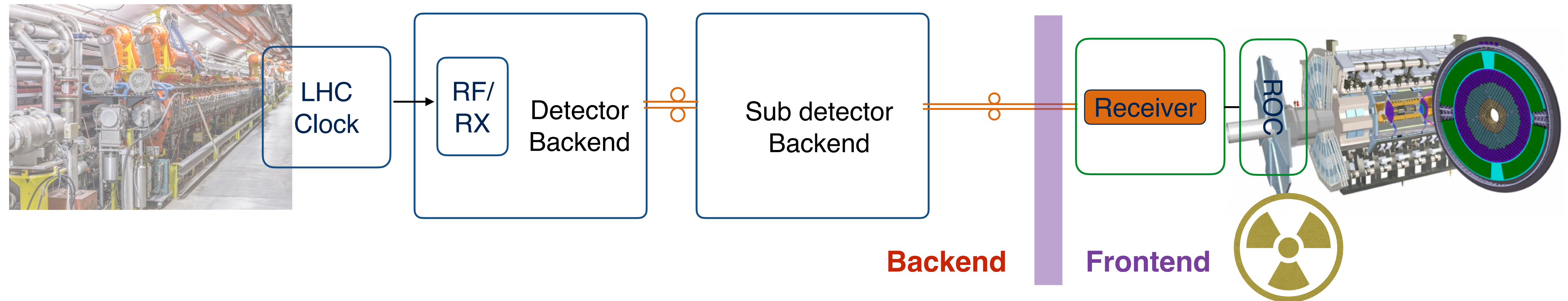
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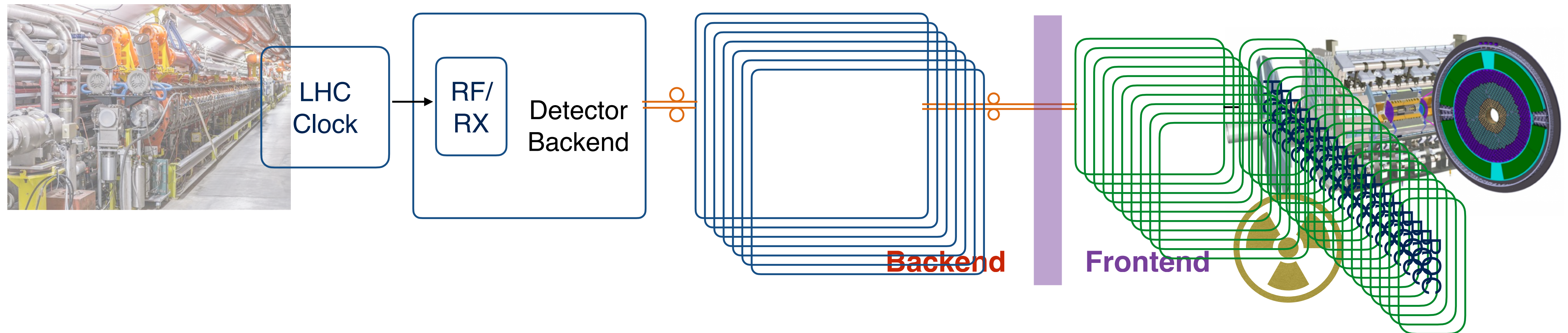


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# A typical clock distribution chain



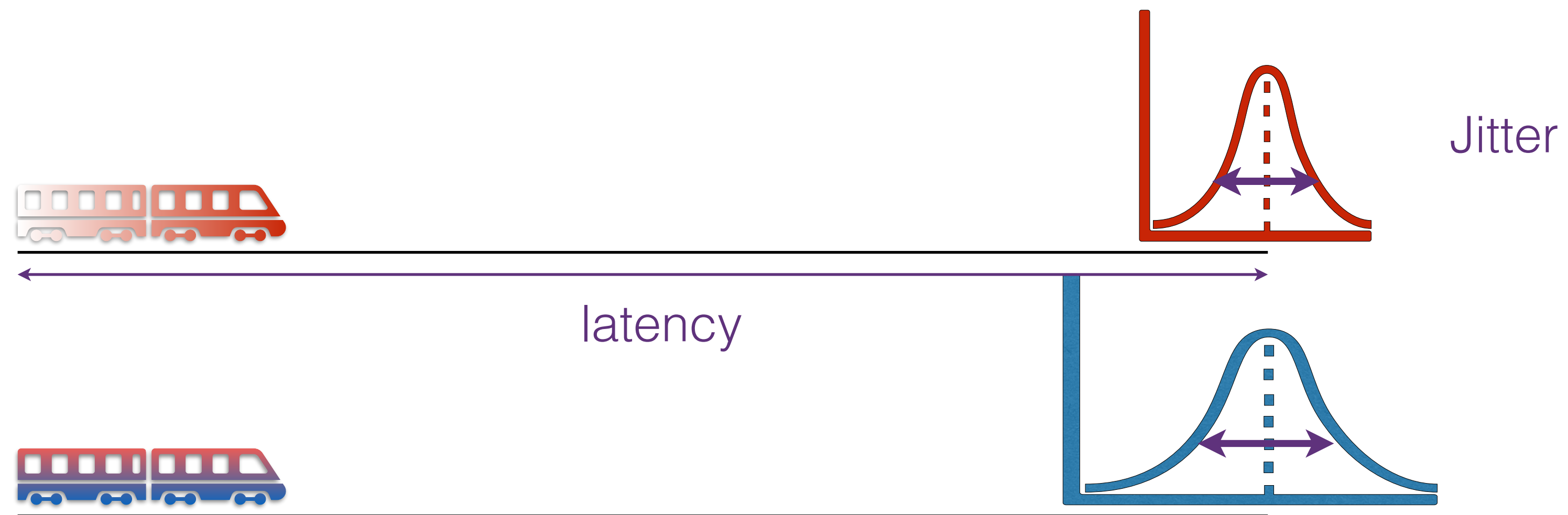
- The clock has a long way to reach to the detector in a large accelerator.
- There may be multiple connection points, opto-electrical conversions, kms to reach to the detector and some of hundred meters to be **distributed over tens of thousands of communication links** within a detector!



# There does not exist a perfect system.

- Any questions so far?

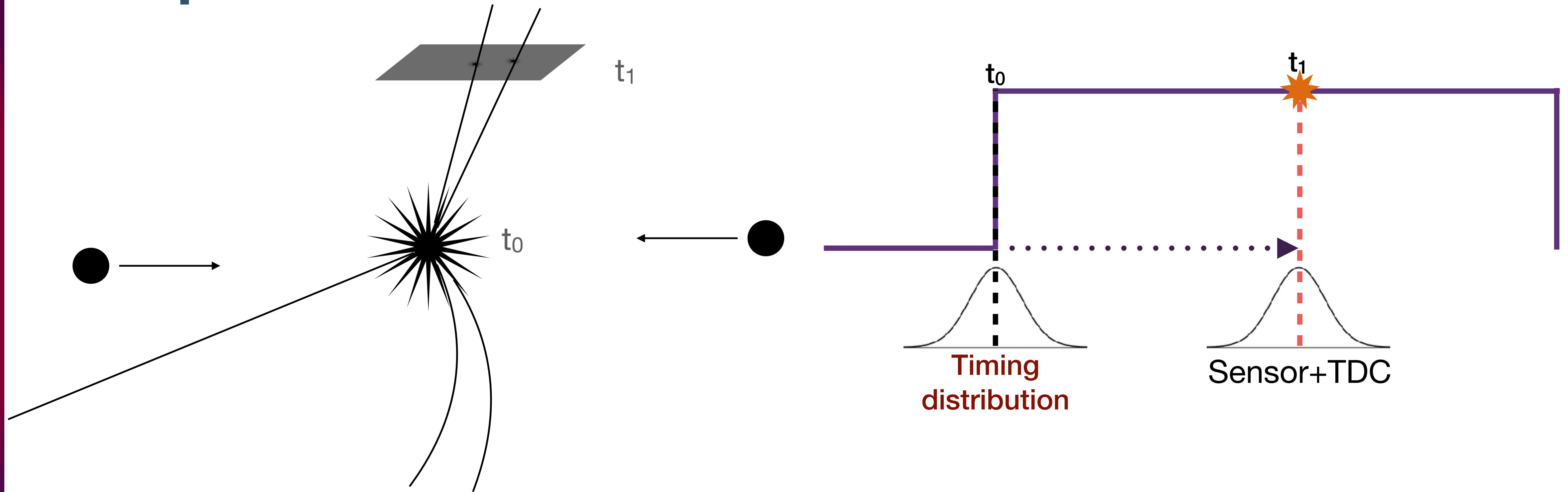
# Delay, wander and jitter



- **Latency** is due to propagation time.
- **Jitter is the uncertainty** in this propagation time.
- If it occurs at slow frequencies it is called **wander**.



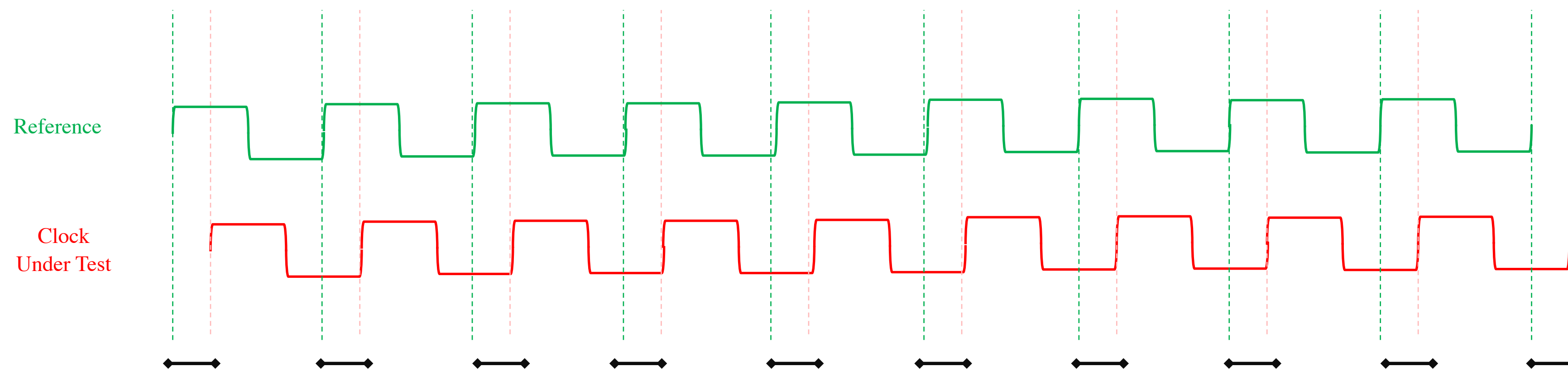
# Impact on the resolution



- No matter how good our sensor and readout modules are, the timing resolution **cannot be precise enough if there is too much jitter!**
- Example: even if we achieve 30 ps resolution with the sensor + TDC, a 30 ps RMS jitter will **degrade our resolution to 42ps!**

# How do we measure jitter?

- Finding the difference between the ideal clock or a reference clock and the clock under test!

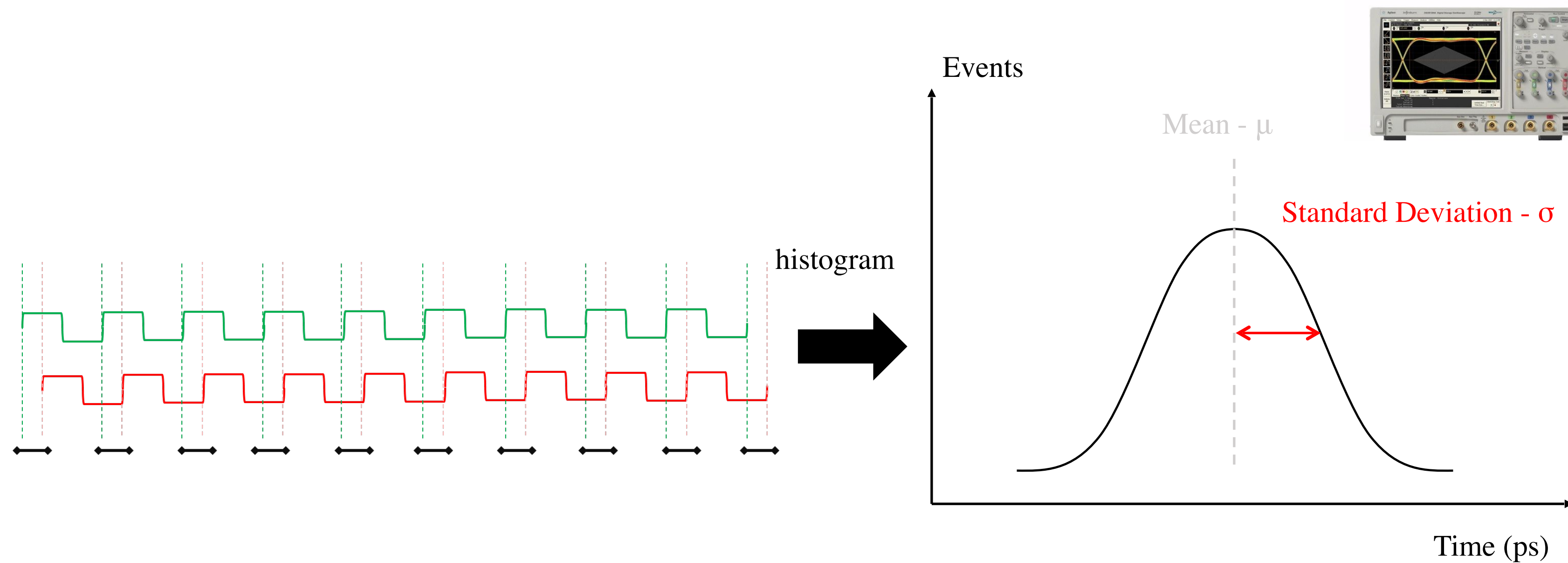


- The measurement is preferably sequential to keep frequency noise correlation.

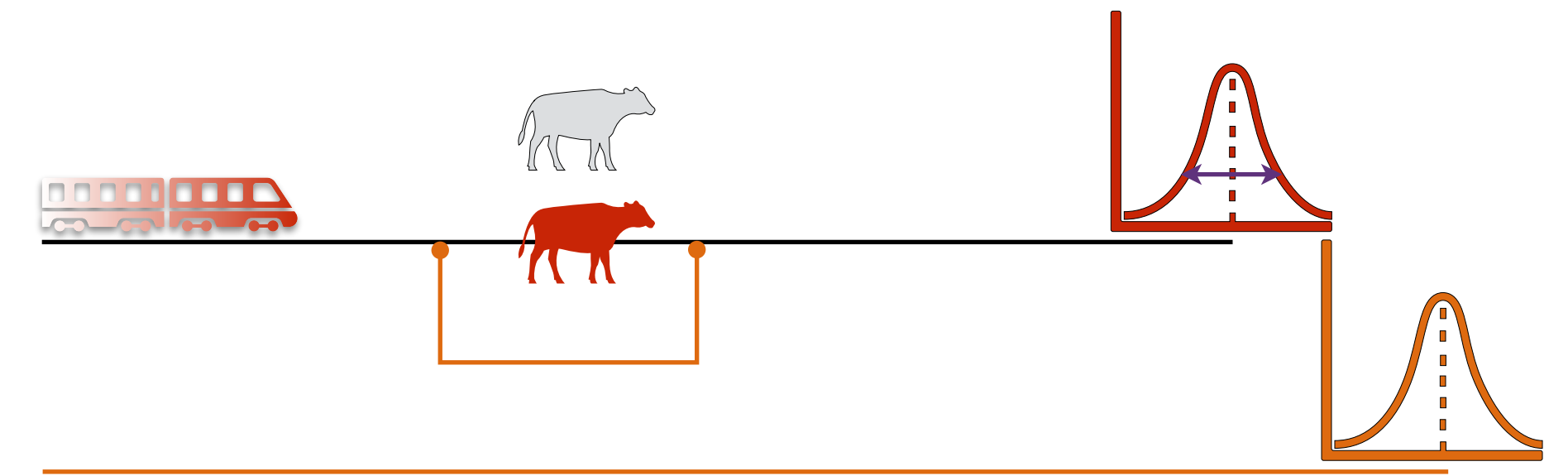


# Measuring the jitter: TIE

- Time interval error (TIE) is the standard measurement which can be performed using a scope.



# Types of jitter

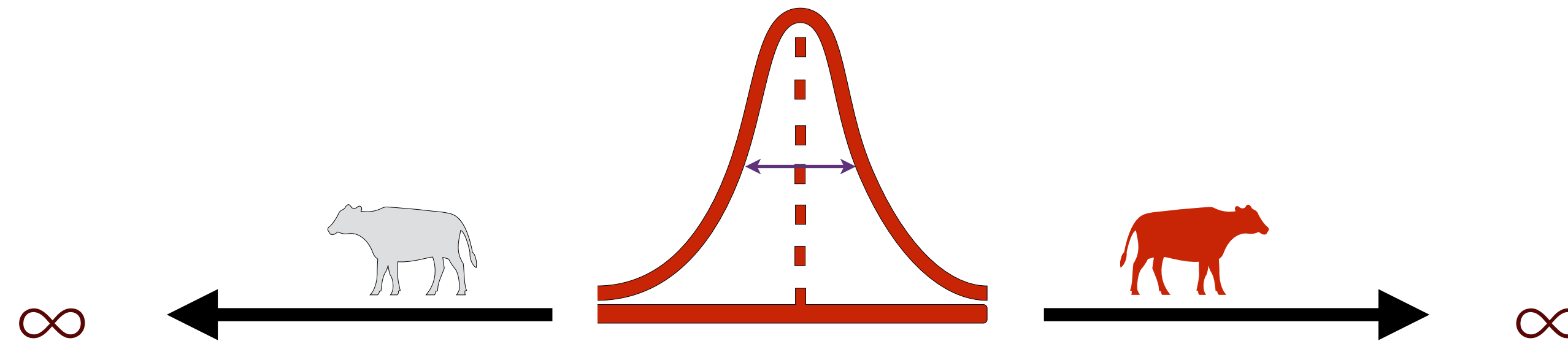


- The **R**andom **J**itter with a Gaussian distribution.
- The **D**eterministic **J**itter with a bimodal Dirac delta distribution.
- The profile of the TIE histogram may tell us what kind of jitter we have in the system.
  - Namely whether it is RJ (unbounded) or DJ (bounded).



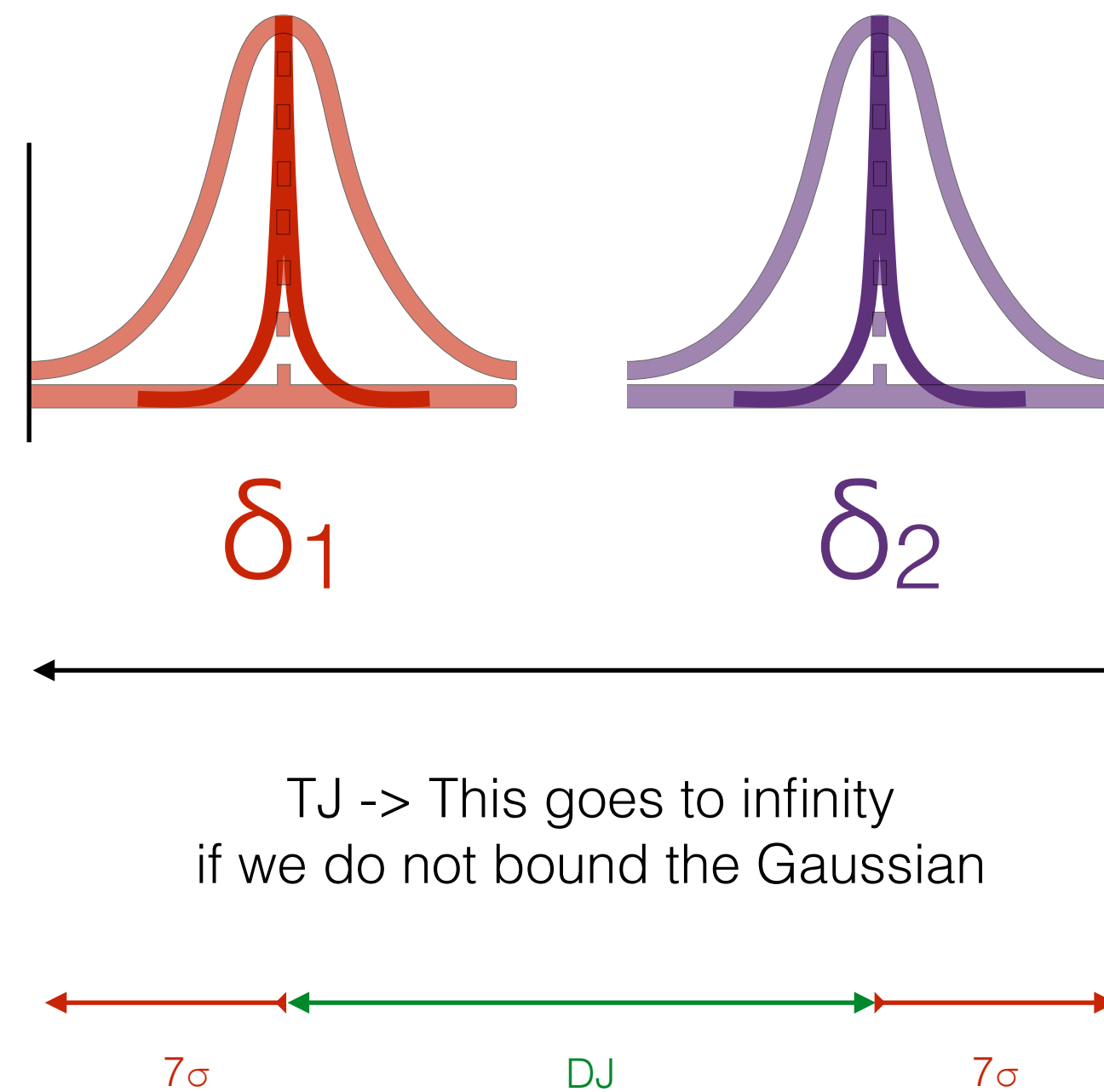
# Worst case?

- Is it possible to provide a worst case scenario?



- RJ is normal distribution, therefore, it is unbounded. As the time progress the worst case will get closer to infinity.
- We need to agree on a convention! (Similar to rejecting a null hypothesis)

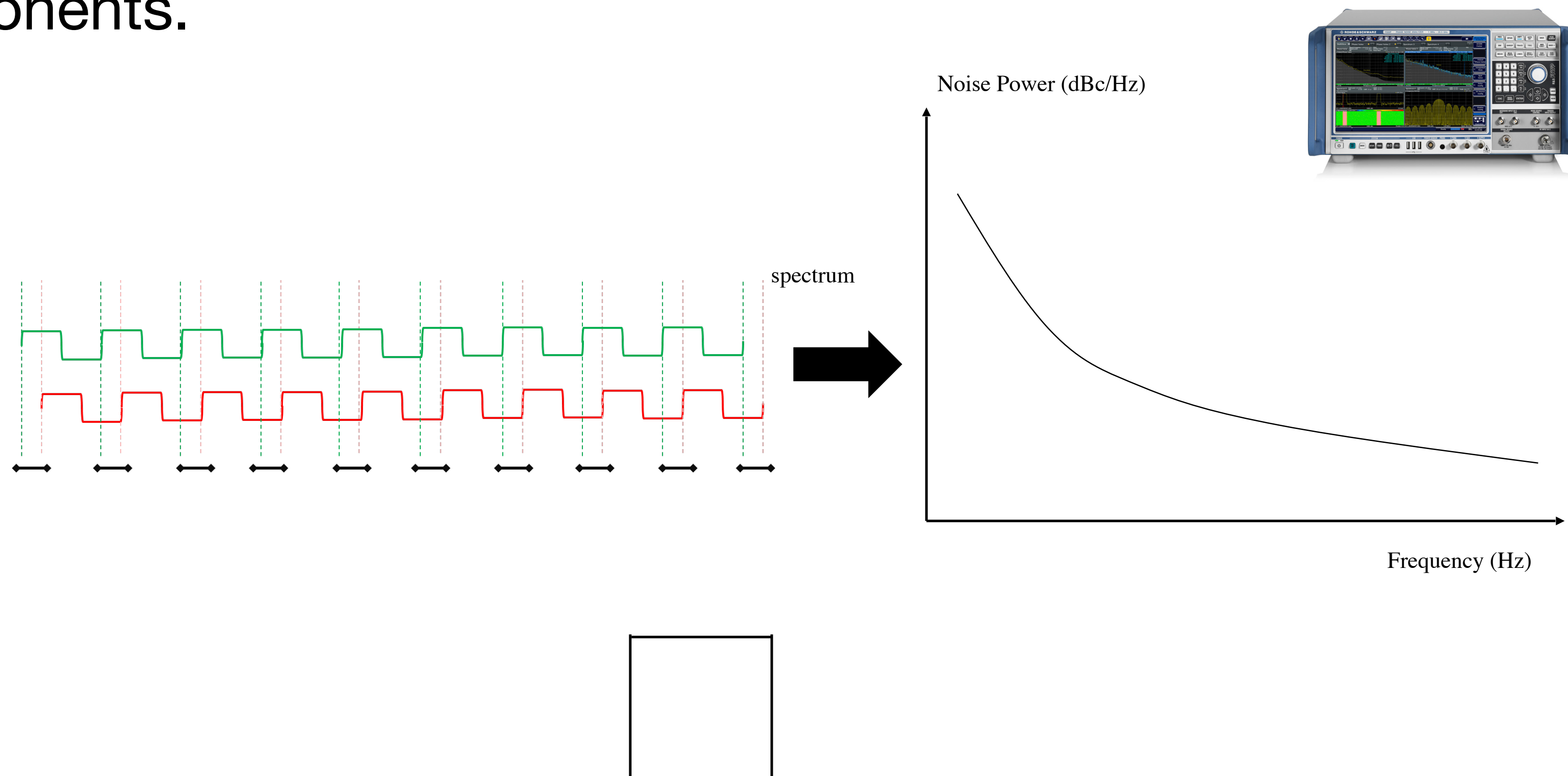
# Total jitter



- Convolution of two bounded Gaussian - dirac-delta functions.
- Total Jitter can be modeled as  $TJ(BER) = 2RJ \times n\sigma(BER) + DJ(\delta\delta)$
- The convention is  $10^{-12} : 14 \sigma$

# Measuring the jitter: phase noise

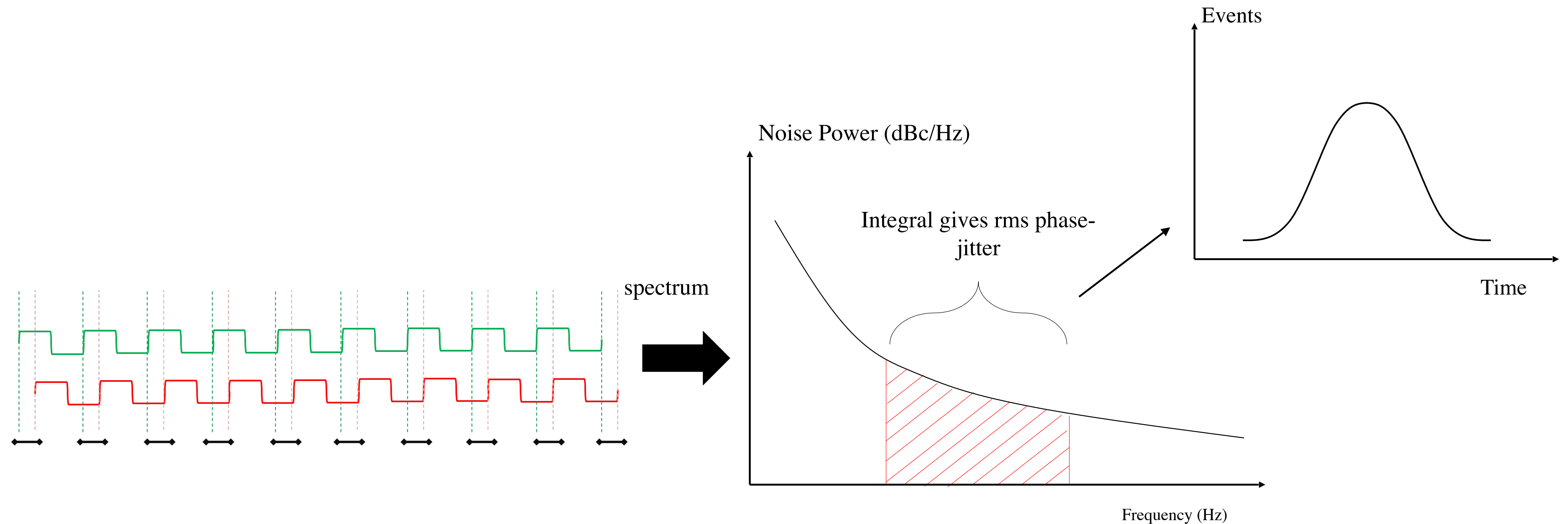
- TIE will give you the amplitude but not the frequency of the noise components.





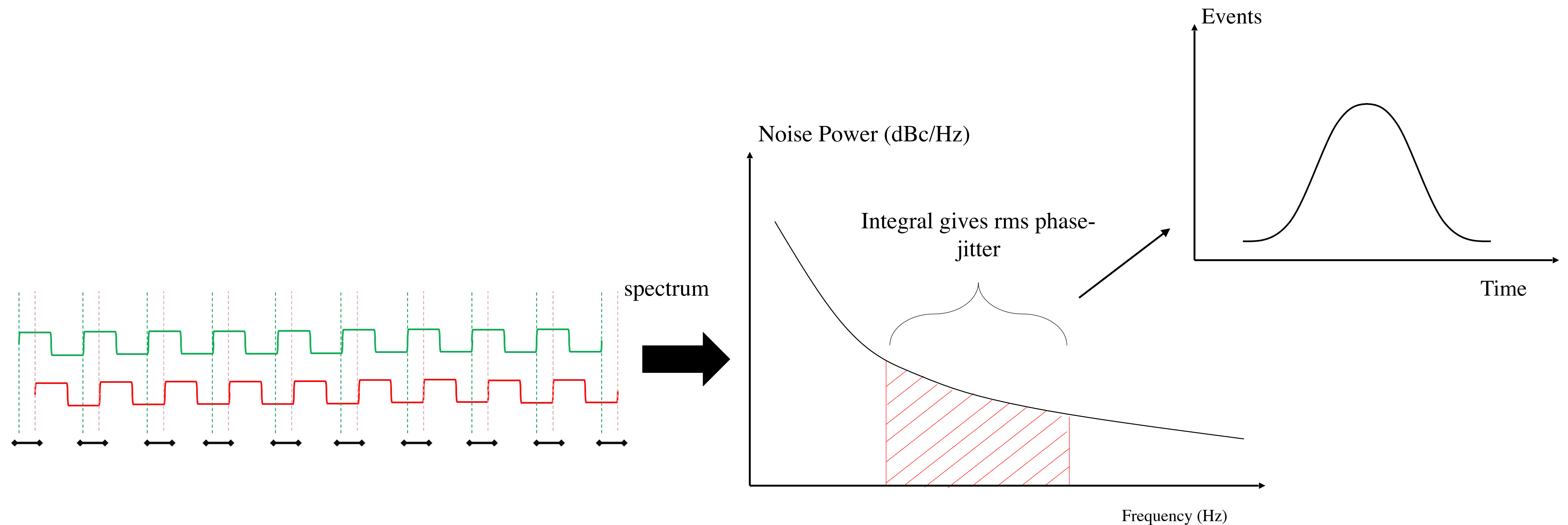
# Noise spectrum to TIE

- It is possible to obtain the TIE from the noise plot



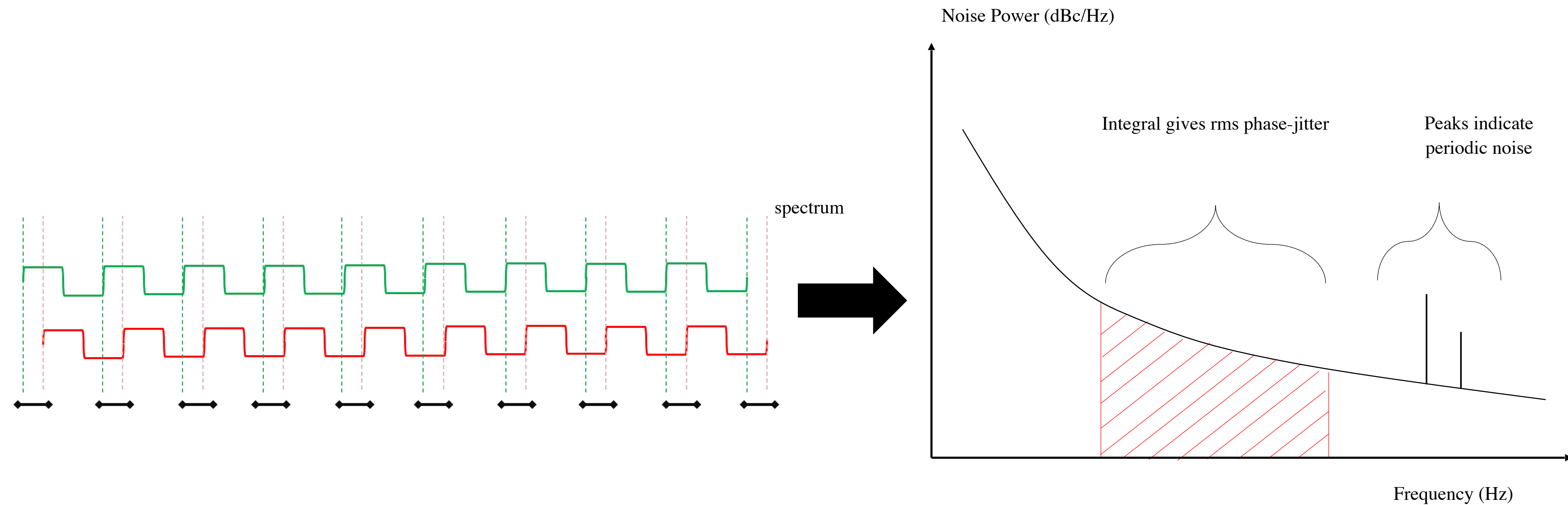
# Noise spectrum to TIE

- The profile of the spectrum gives us hints about the noise type



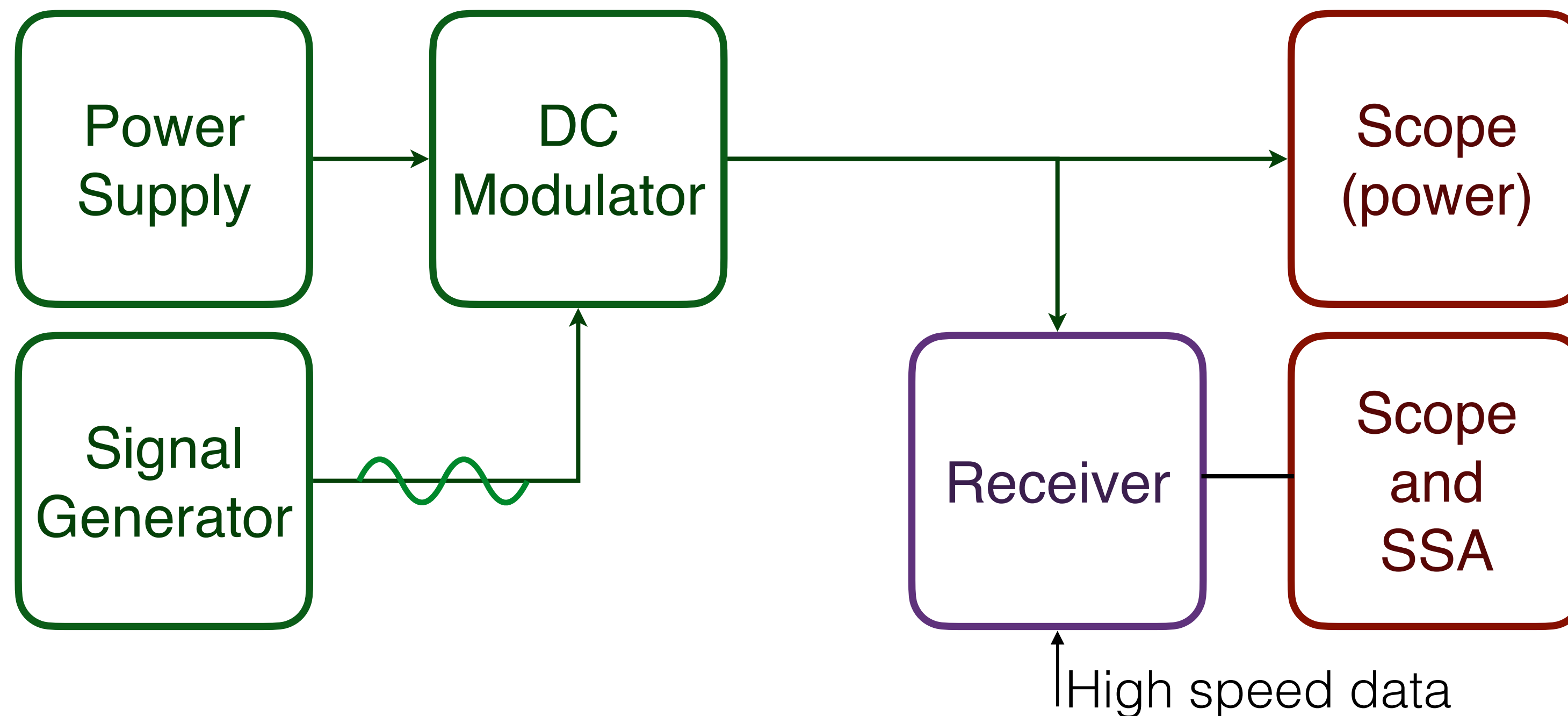
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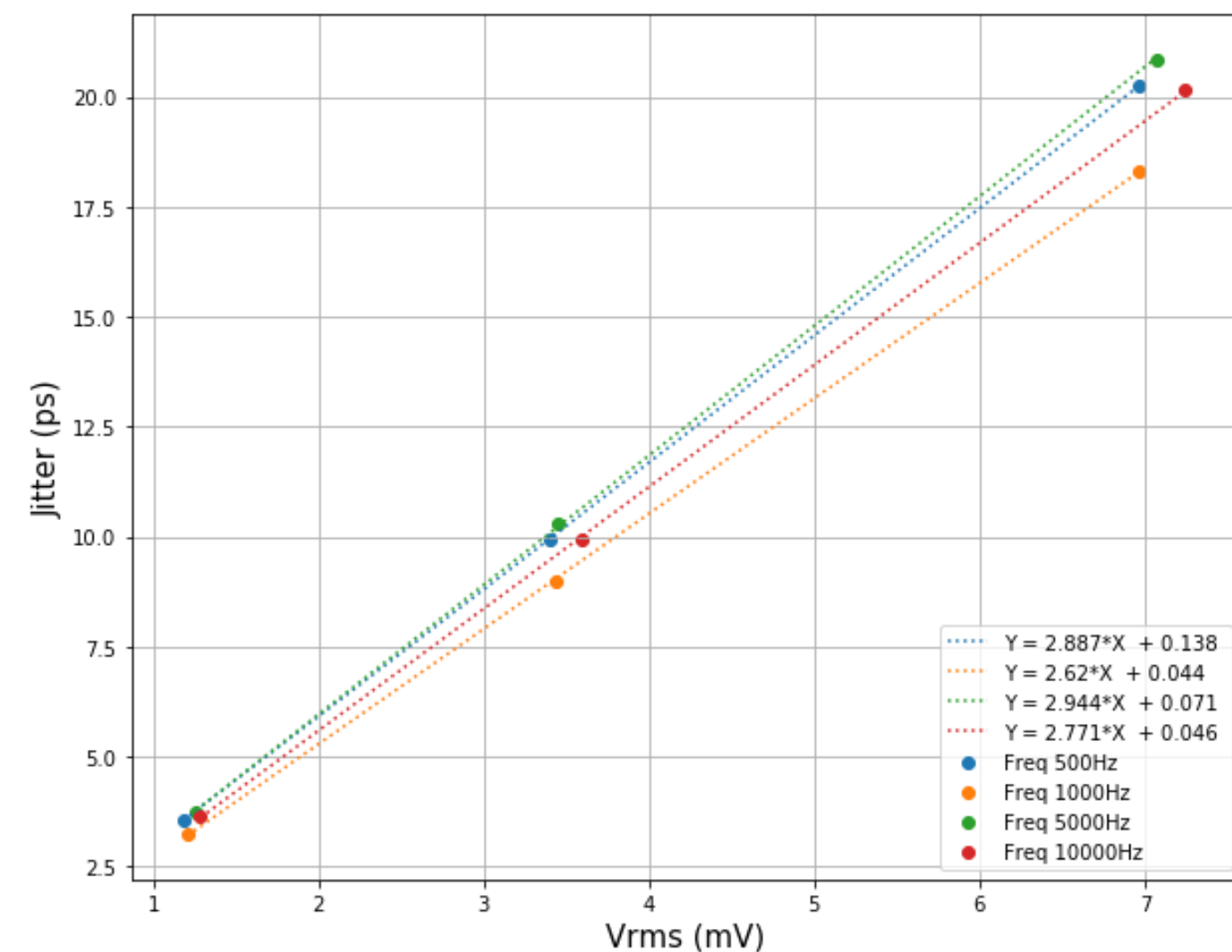
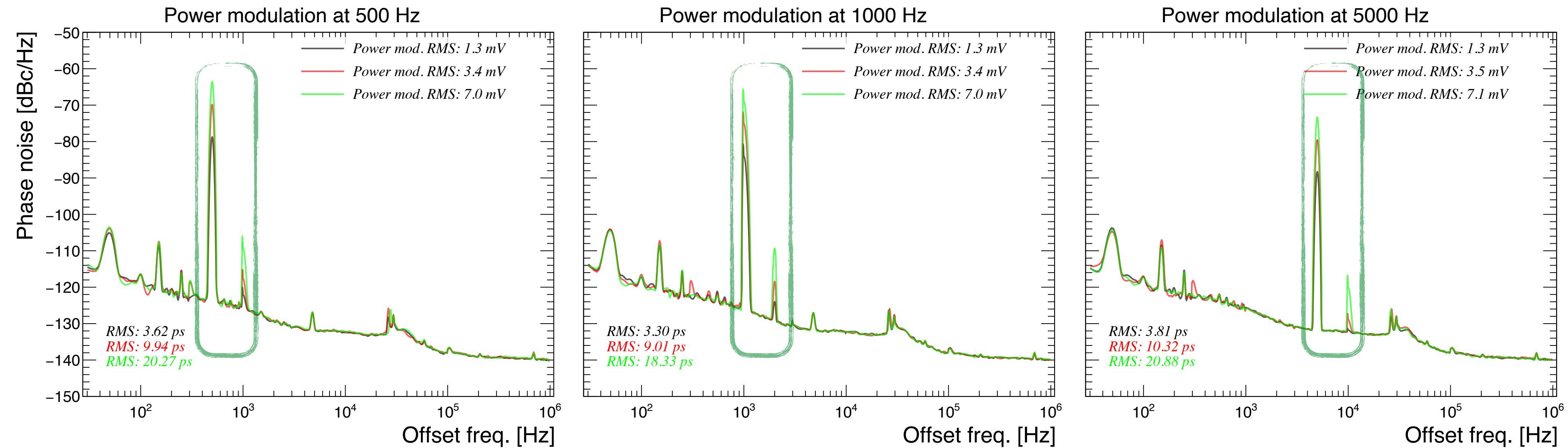


# Jitter sources: an example



- **Sine wave noise is generated by the signal generator** at three amplitude levels (10 mV, 30 mV, 60 mV) with four different frequencies (500 Hz, 1 kHz, 5 kHz, 10 kHz).
- **The generated noise is superposed with the power supply output via the DC modulator.** The resulting modulation is measured by the scope.
- We predict this to be a DJ contribution

# Jitter sources: an example



- Here the impact of power distribution fluctuations on the timing distribution jitter for an embedded clock distribution chip is quite visible.

# Rather than having a conclusion

- Phase locked loops
- Digital dual timing mixer (DDMTD)
- Phase monitoring
- Phase stability