



Reconciling LHC DM and FIPs

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Overview

- There is interest in coming up with a way to compare DM bounds
 - LHC and PBC groups have chosen slightly different models
 - Wanted to see if we could translate between models
- This talk will be a recasting of models between benchmarks
 - For the LHC we will use Monojet(DM) results from end of Run 2
 - Interest in the LHC to transition the way we present results
 - We would like to present our results in terms of min coupling
 - ▶ This aligns more with the FIP(PBC) approach
 - ▶ Complicates presentation with direct detection
- These studies are in arxiv here : <https://arxiv.org/abs/2206.03456>
 - It might make sense to highlight this in a separate doc

LHC Default Models

- LHC has had 4 default models
 - Motivated by standard LHC signatures and comparison with ID/D
 - Additionally had benchmark coupling choices $g_q=0.25$ and $g_{DM}=1.0$

Spin 1

$$\mathcal{L}_{\text{vector}} = -g_{\text{DM}} Z'_\mu \bar{\chi} \gamma^\mu \chi - g_q \sum_{q=u,d,s,c,b,t} Z'_\mu \bar{q} \gamma^\mu q - g_\ell \sum_{\ell=e,\mu,\tau} Z'_\mu \bar{\ell} \gamma^\mu \ell,$$

$$\mathcal{L}_{\text{axial-vector}} = -g_{\text{DM}} Z'_\mu \bar{\chi} \gamma^\mu \gamma_5 \chi - g_q \sum_{q=u,d,s,c,b,t} Z'_\mu \bar{q} \gamma^\mu \gamma_5 q - g_\ell \sum_{\ell=e,\mu,\tau} Z'_\mu \bar{\ell} \gamma^\mu \gamma_5 \ell$$

Spin 0

$$\mathcal{L}_{\text{scalar}} = -g_{\text{DM}} \phi \bar{\chi} \chi - g_q \frac{\phi}{\sqrt{2}} \sum_{q=u,d,s,c,b,t} y_q \bar{q} q,$$

$$\mathcal{L}_{\text{pseudo-scalar}} = -ig_{\text{DM}} \phi \bar{\chi} \gamma_5 \chi - ig_q \frac{\phi}{\sqrt{2}} \sum_{q=u,d,s,c,b,t} y_q \bar{q} \gamma_5 q,$$

Only quark couplings guaranteed in interpretation

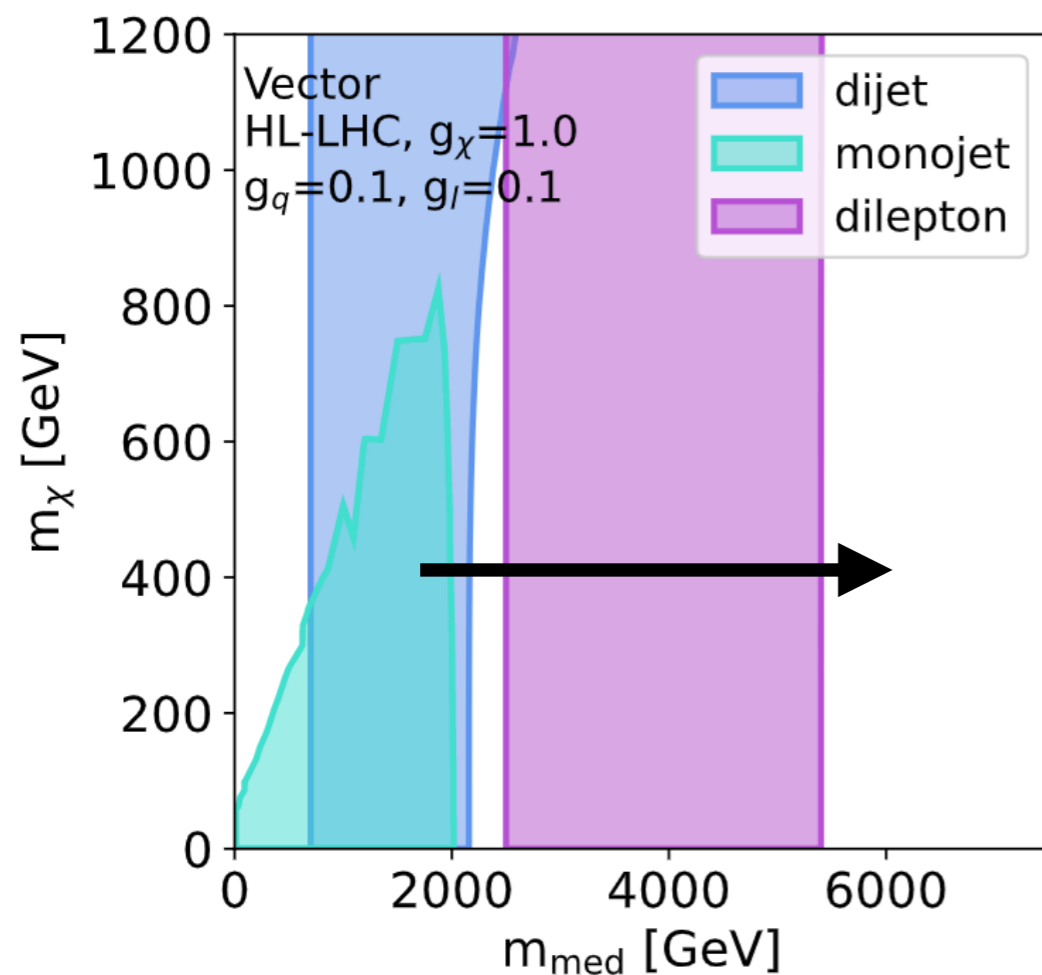
These remain the main ways to interpret DM at LHC

LHC Model Presentation

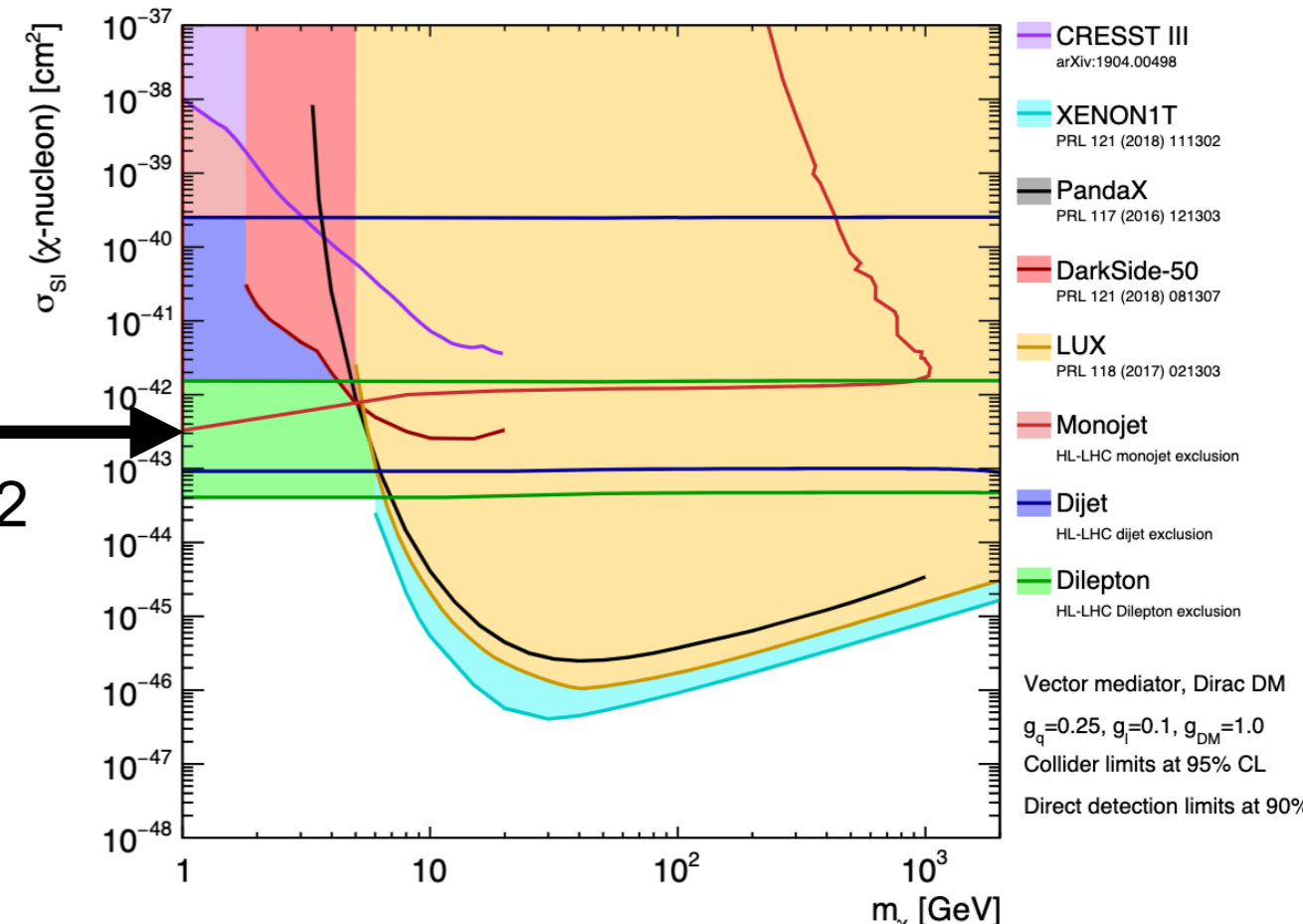
- Traditionally presented models in mass vs mass plane
 - With fixed couplings
 - Idea was to see how high a mass we could achieve

Wanted to see how high we could go

$$\sigma_{\text{SI}} = \frac{\text{Fixed } f^2(g_q)g_{\text{DM}}^2 \mu_{n\chi}^2}{\pi \text{Floated } M_{\text{med}}^4}$$



Rotate $\pi/2$

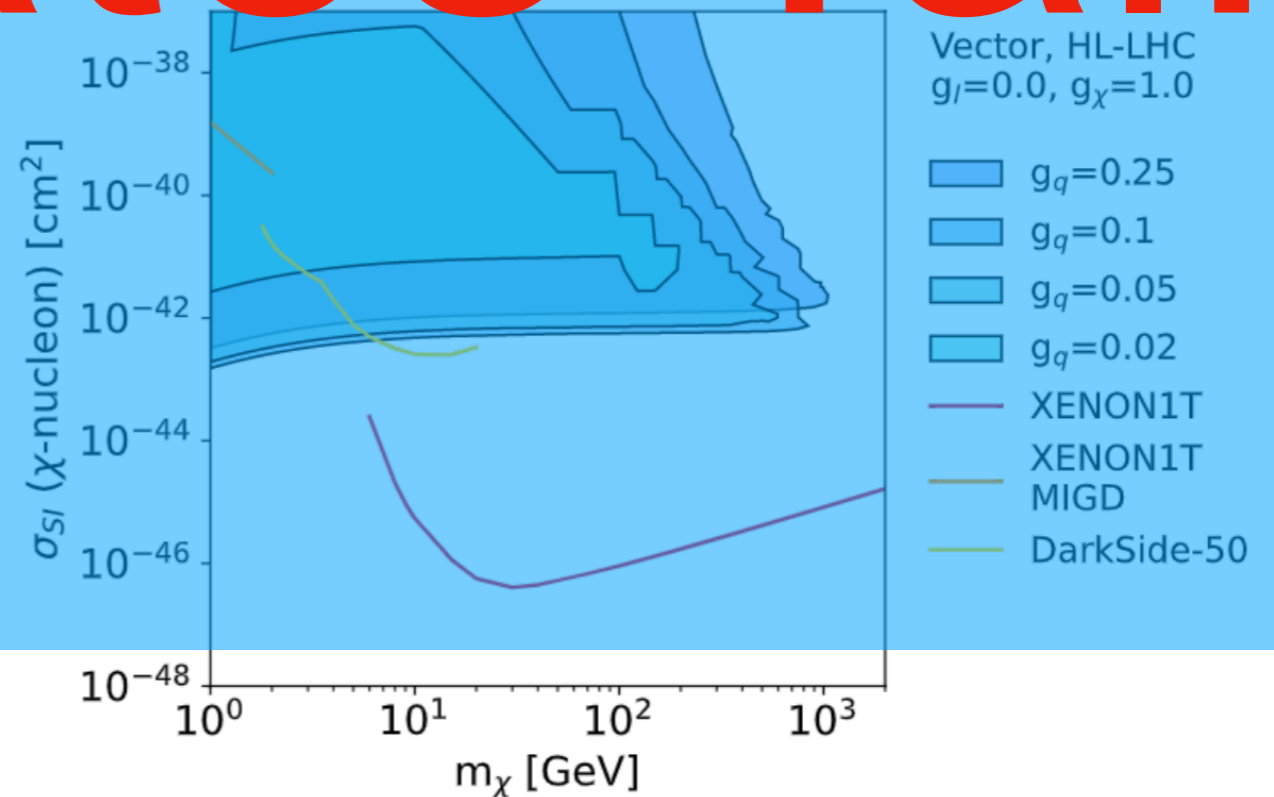
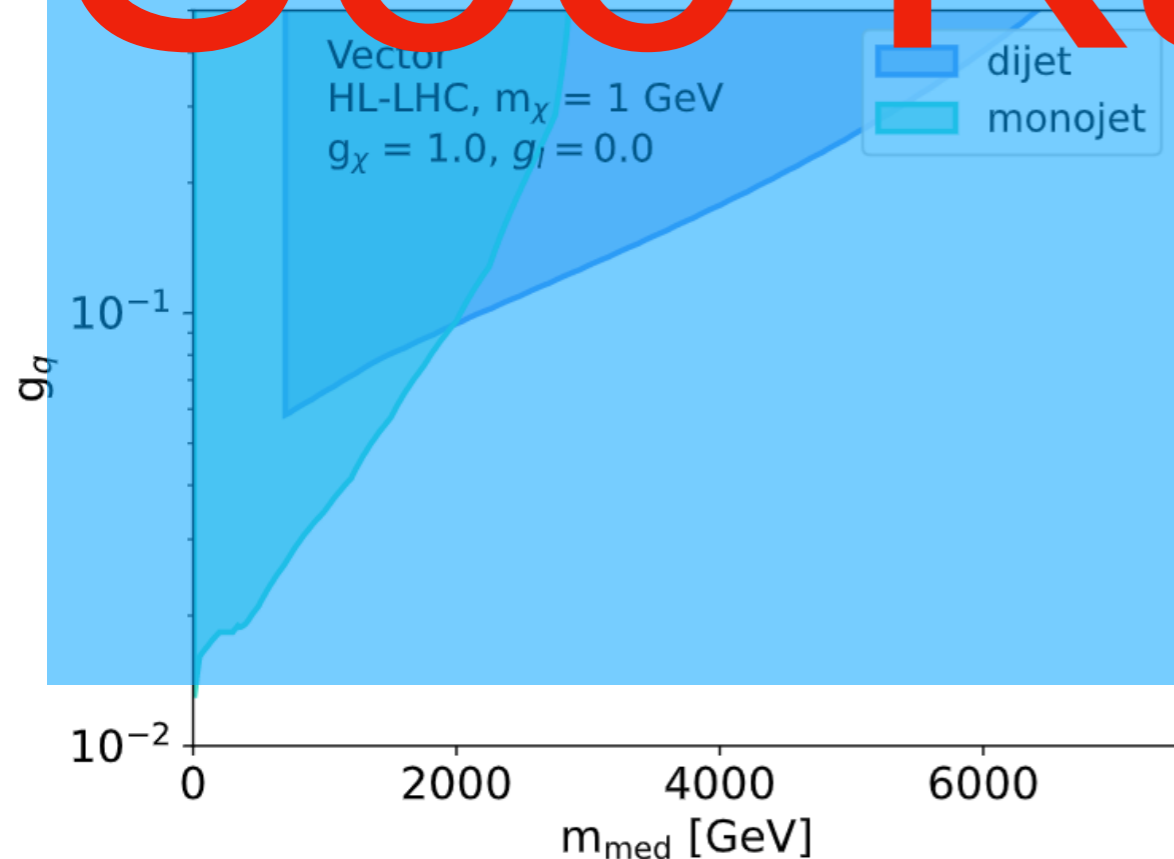


Floating the couplings⁵

- Floating the couplings gives us a new set of bounds

- In practice varying couplings doesn't change bounds much
- However to make direct detection bounds coupling fixed
- Monojet and dijet can probe couplings below $g_q = 0.1$

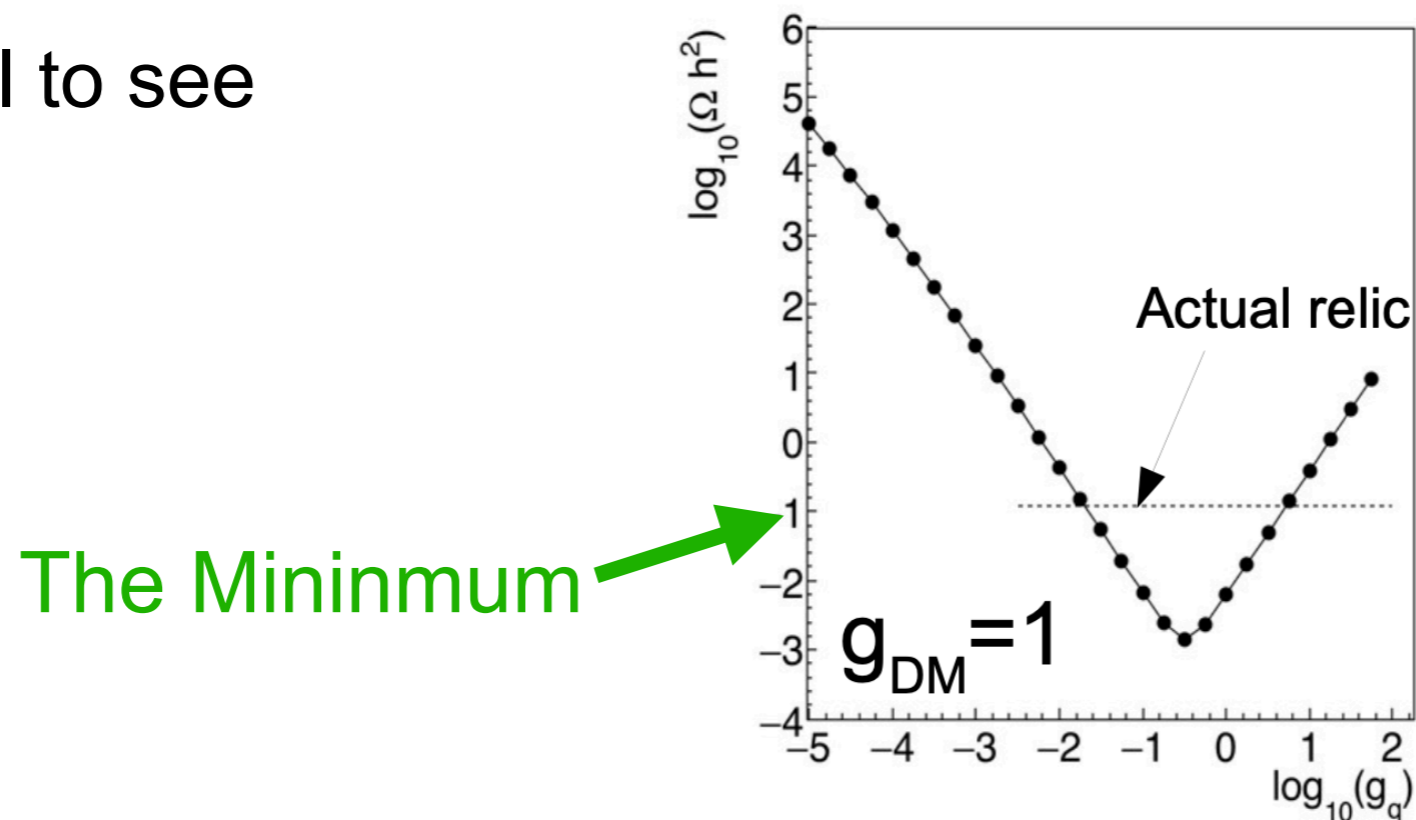
See KatesTalk



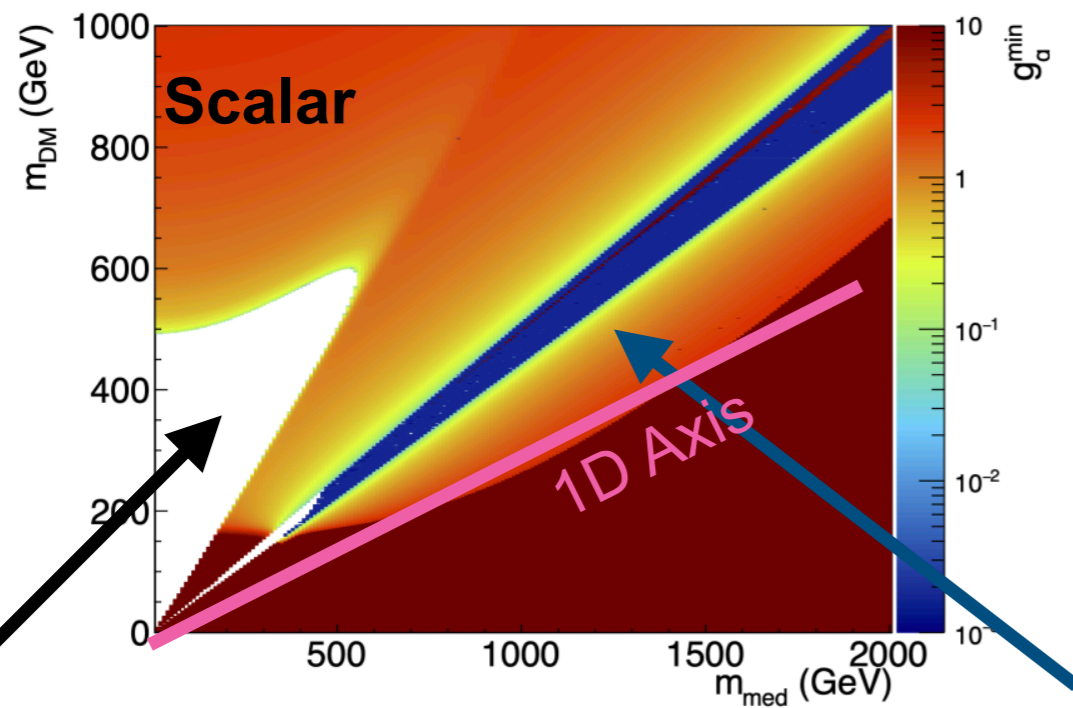
$$\sigma_S = \frac{c^2(g_q)g_{\text{DM}}^2}{\pi M_{\text{med}}^4}$$

Minimum Coupling Scan

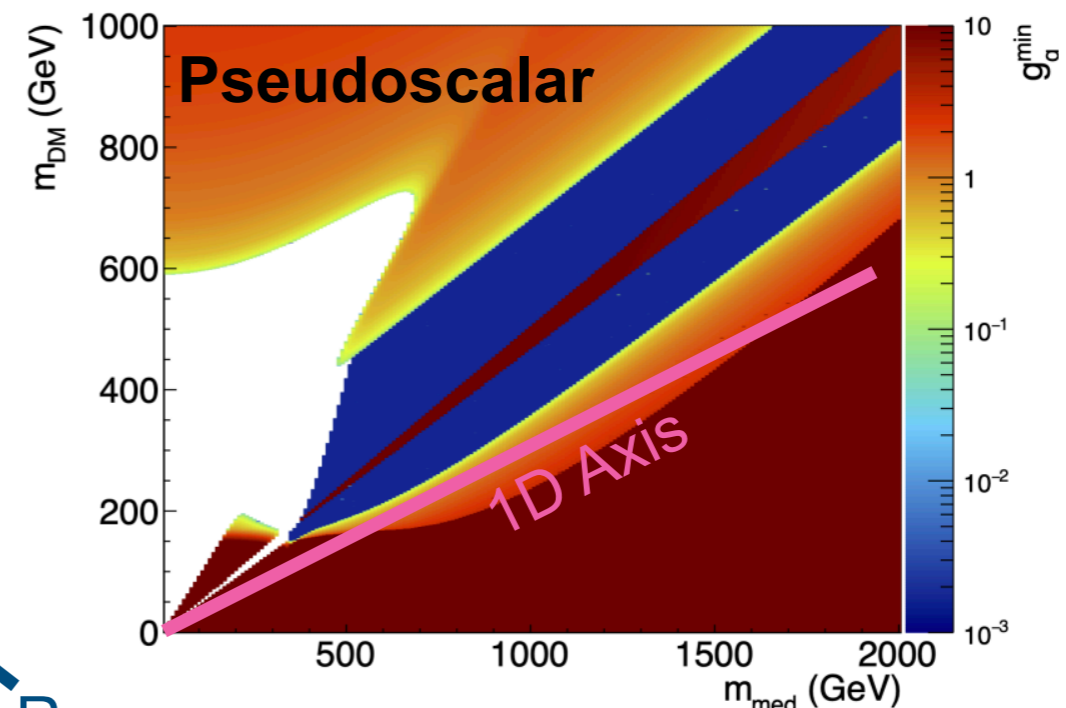
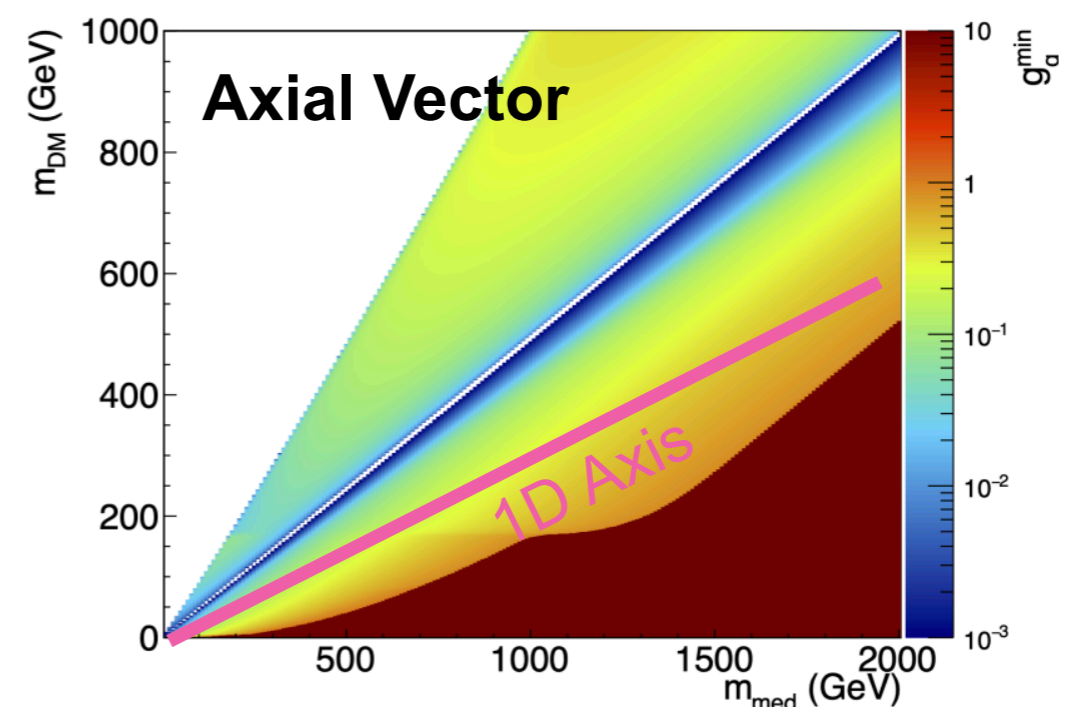
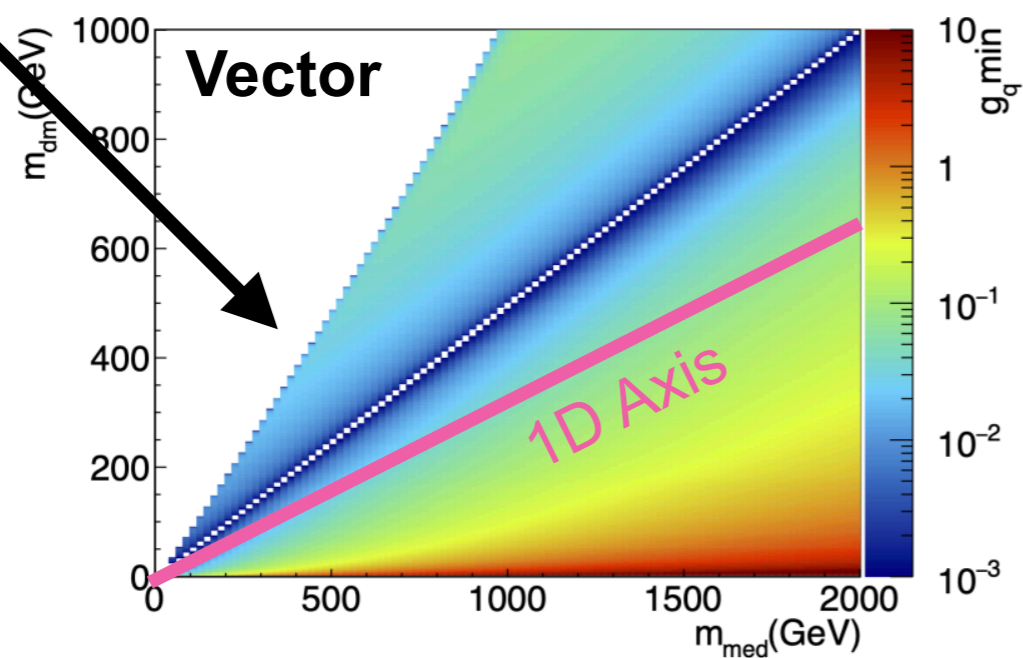
- As w/all simplified DM models there is a minimum coupling
- For the LHC models we can compute the relic density
 - Simplified models, so **relic calculation is simplified**
 - Compute relic density with MadDM
- We scan the full dark matter mass vs mediator mass
 - Useful to see



Relic Density Couplings

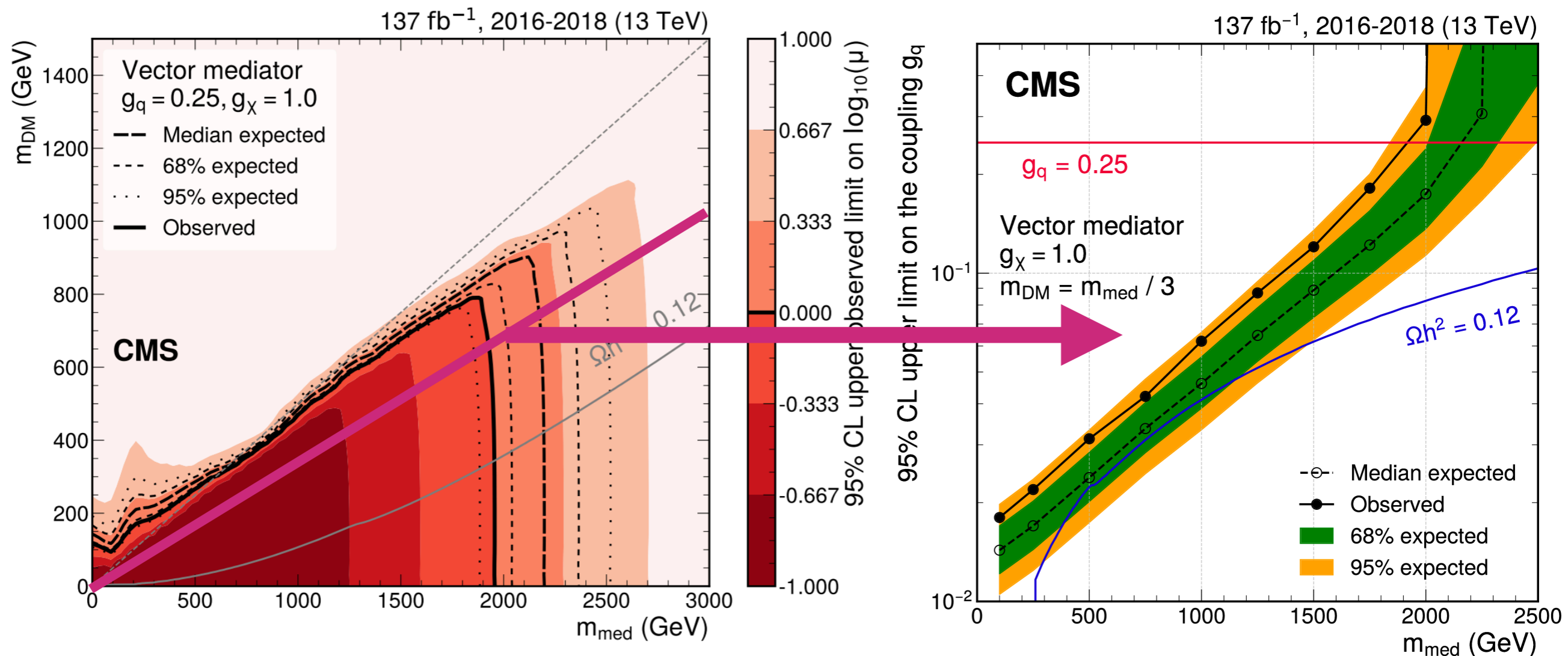


(a)

Resonance
(Loose Constraints) (b)

Current (Vector) results

- Have been active efforts to harmonize results in DMWG
 - Added a lot of plots to allow for small coupling interpretations
- We are already presenting coupling scans on 1D axis



PBC Models

Portal	Coupling
Dark Photon, A_μ	$-\frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu}$
Dark Higgs, S	$(\mu S + \lambda S^2) H^\dagger H$
Axion, a	$\frac{a}{f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}, \frac{a}{f_a} G_{i,\mu\nu} \tilde{G}_i^{\mu\nu}, \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$
Sterile Neutrino, N	$y_N L H N$

FIP(PBC) Models

Like LHC DM WG present :

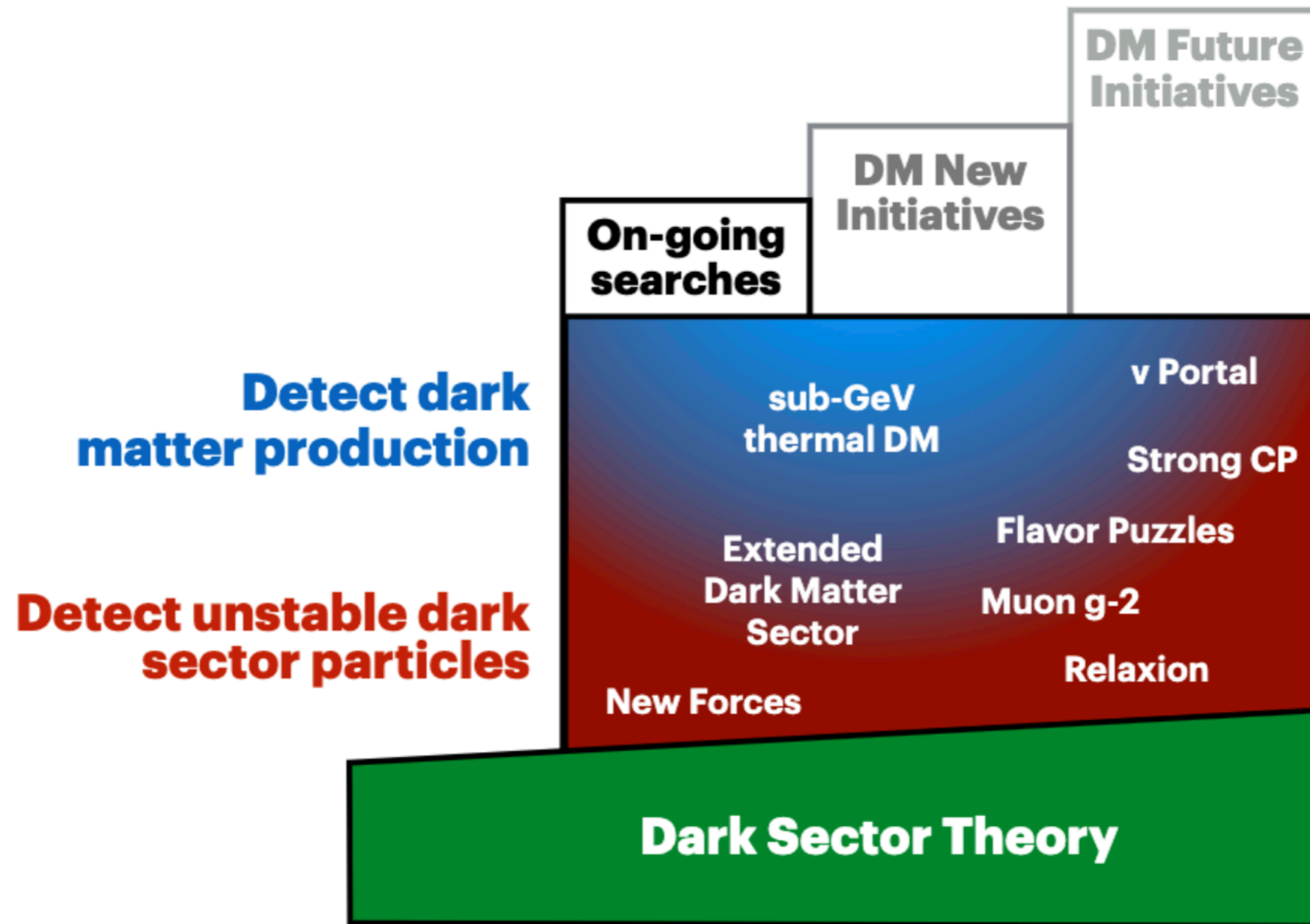
spin-1 Vector (Dark Photon)
 spin-0 Scalar (Dark Higgs)
 spin-0 Pseudoscalar (ALP)

With FIP, Models are complete-ish

Also there is the Sterile Neutrino (we will not discuss)

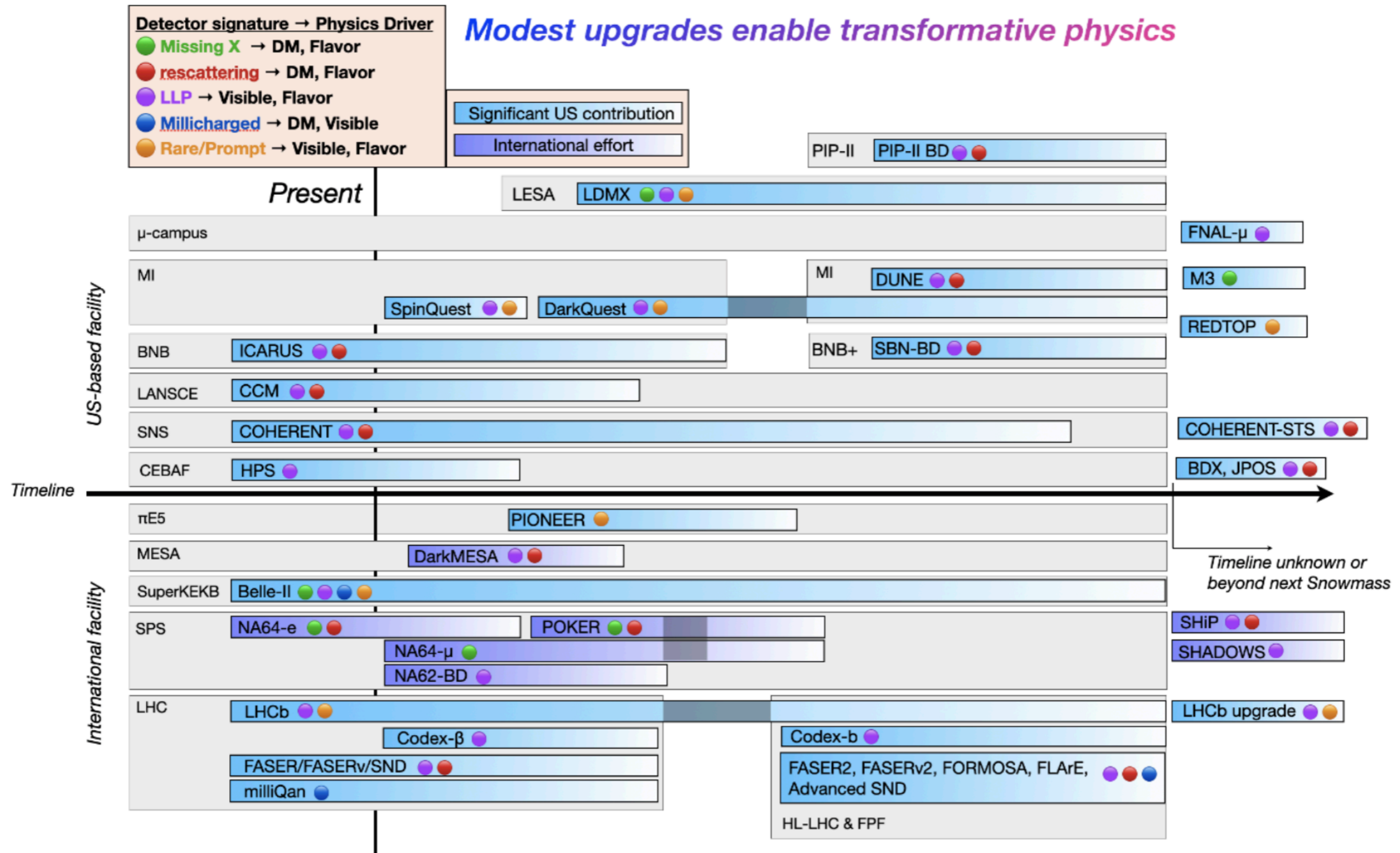
Portal	Coupling
Dark Photon, A_μ	$-\frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu}$
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Sterile Neutrino, N	$y_N L H N$

Light DM at Snowmass



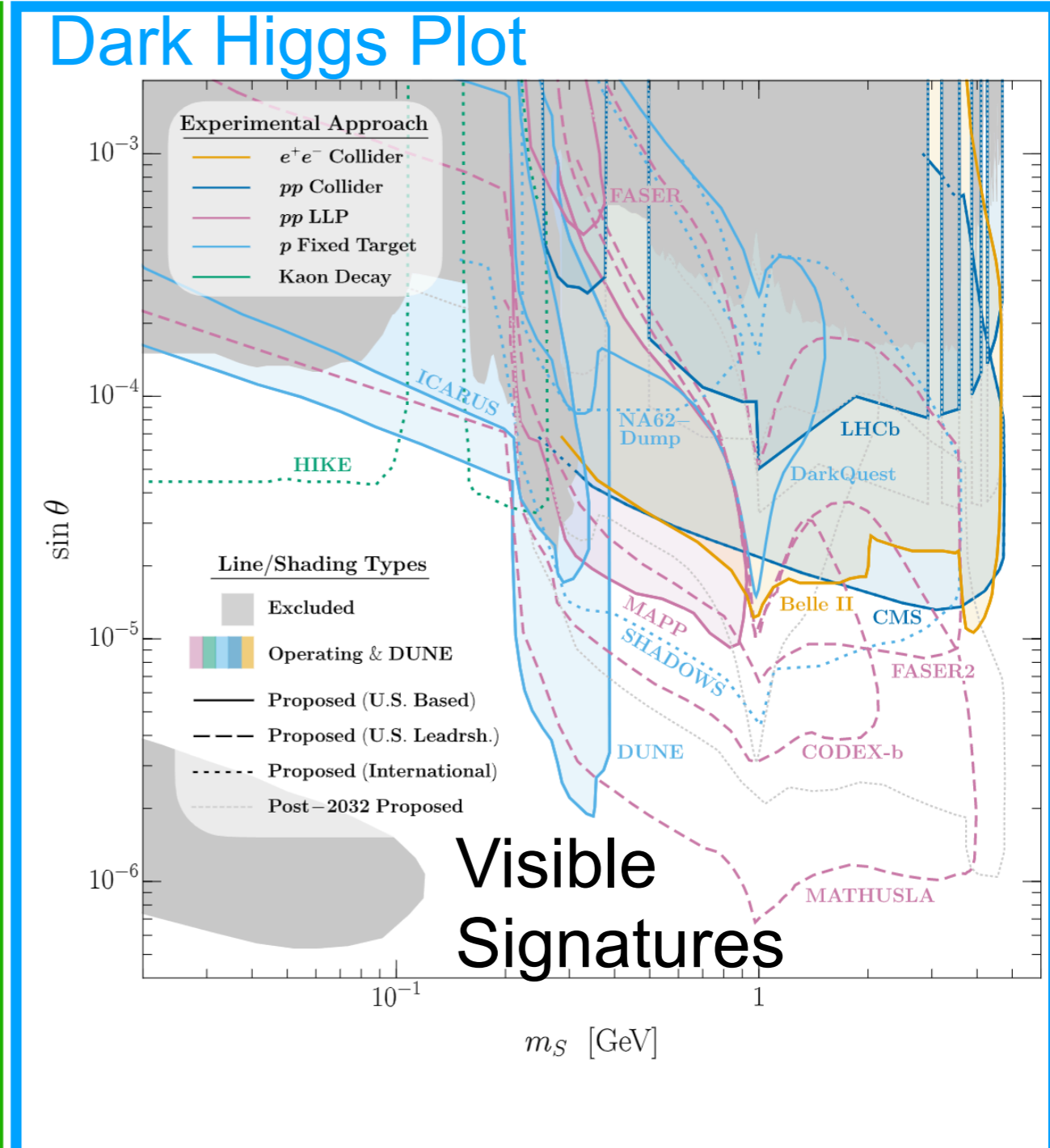
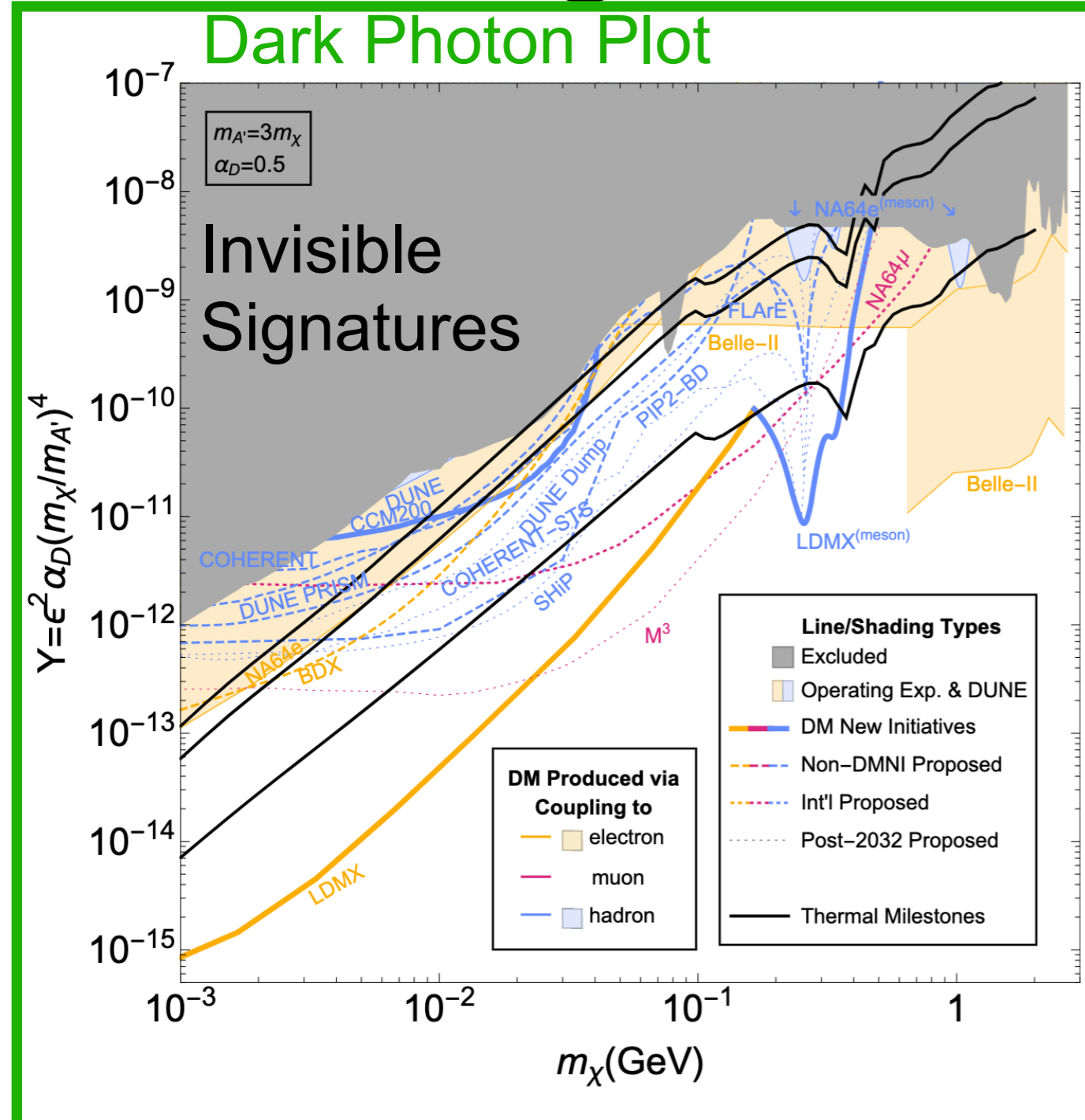
This encompasses the models of the FIP with a US focus
Final Report to come out soon!

Goal of Snowmass



Bring awareness to the importance of Light Dark Matter
 Recommend the development of modest experiments

Light DM at Snowmass

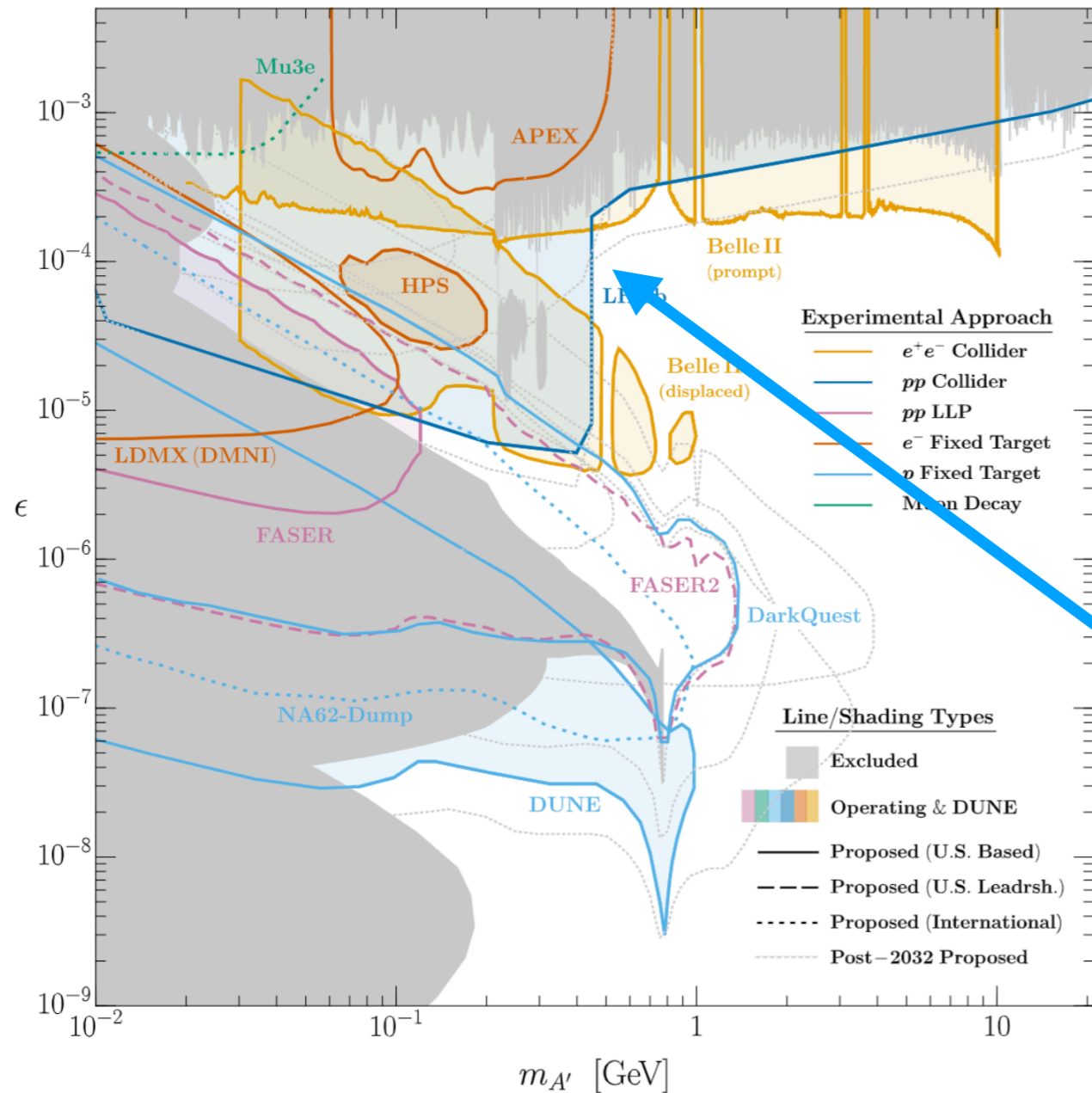


We will focus on invisible signatures for LHC to compare with

There are some cases that Light DM focuses not directly relevant

Future Connections

Weakly Coupled Dark Photons



Effort to highlight **weak coupled Dark Photon**

Coupling weak enough to be long-lived

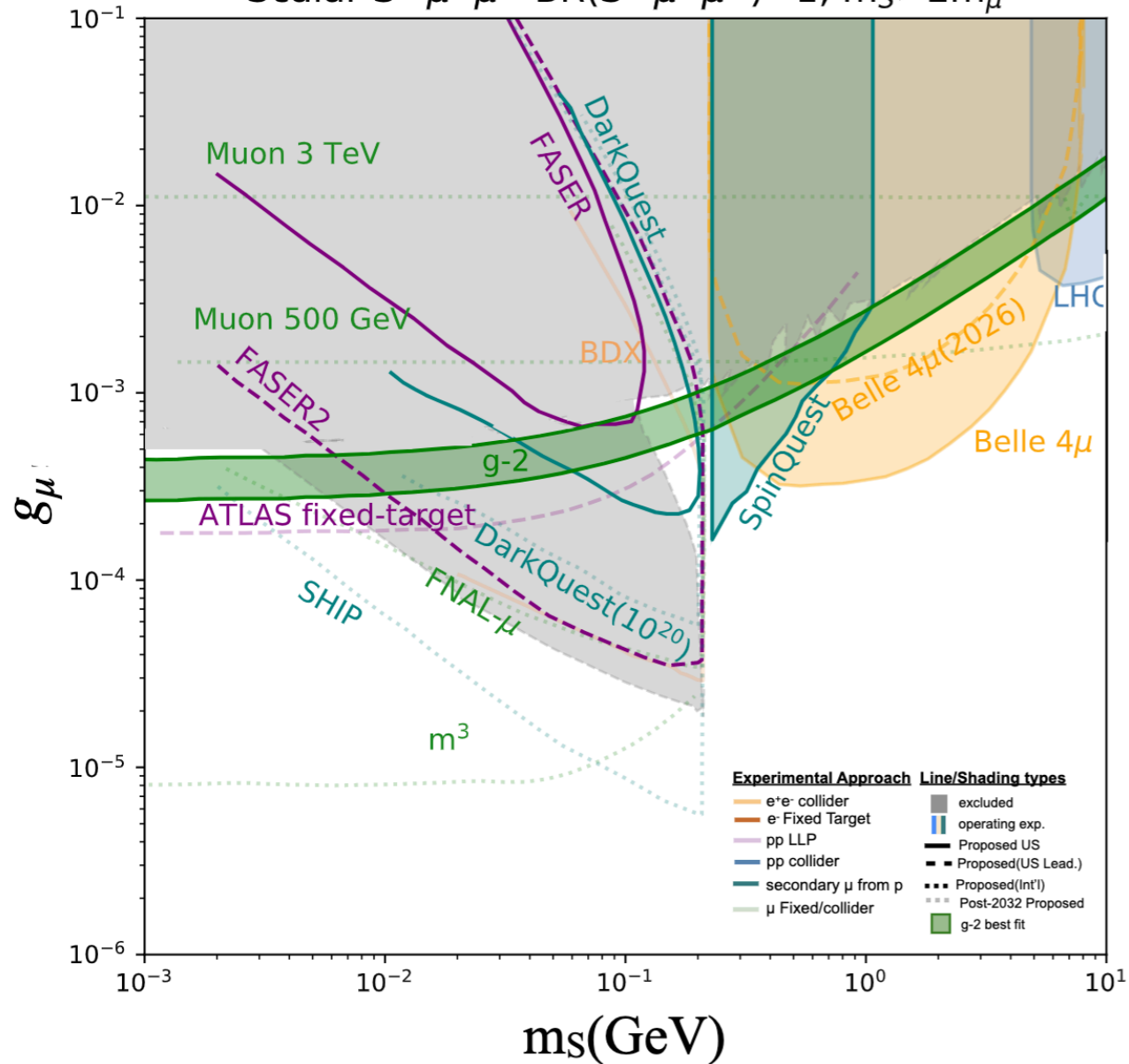
Potential to connect w/LL group

Light DM considered $g-2$ models highlights specific final states

Other Highlights

Dark Scalar Coupling to Muons

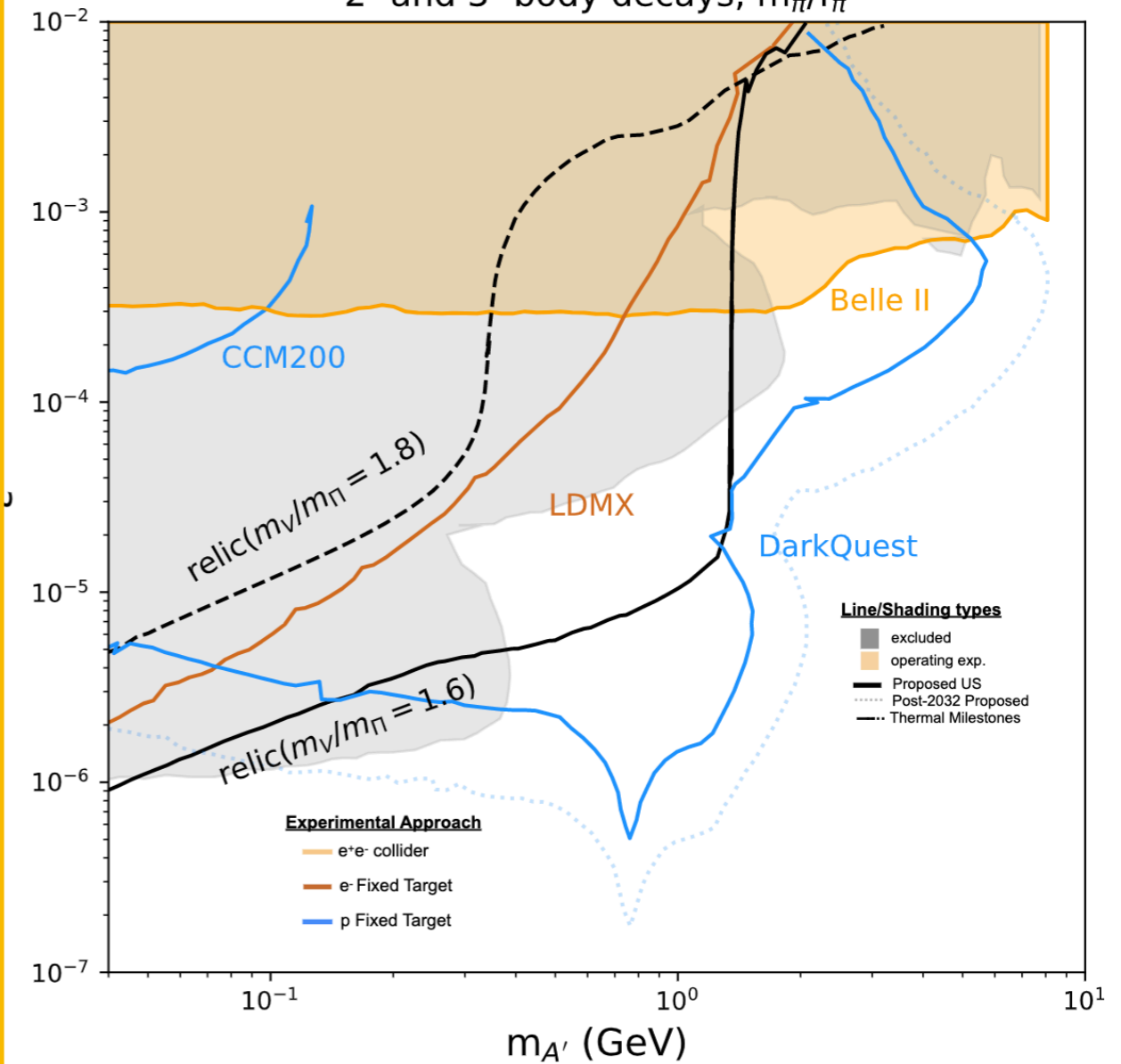
Scalar $S \rightarrow \mu^+ \mu^-$ $BR(S \rightarrow \mu^+ \mu^-) = 1$, $m_S > 2m_\mu$



Light DM considered g-2 models
highlights specific final states

SIMP Dark Photon Model

2- and 3- body decays, m_π/f_π



Light DM considered g-2 models
highlights specific final states

Comparisons w/PBC

$$\mathcal{L}_{\text{vector}} = -g_{\text{DM}} Z'_\mu \bar{\chi} \gamma^\mu \chi - g_q \sum_{q=u,d,s,c,b,t} Z'_\mu \bar{q} \gamma^\mu q - g_\ell \sum_{\ell=e,\mu,\tau} Z'_\mu \bar{\ell} \gamma^\mu \ell,$$

Adding Mixing with photon

$$g_q = g_\ell = \frac{\epsilon}{2e \cos \theta_W}$$

Portal	Coupling
Dark Photon, A_μ	$-\frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu}$
Dark Higgs, S	$(\mu S + \lambda S^2) H^\dagger H$
Axion, a	$\frac{a}{f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}, \frac{a}{f_a} G_{i,\mu\nu} \tilde{G}_i^{\mu\nu}, \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$
Sterile Neutrino, N	$y_N L H N$

LHC Spin 1 results are very similar to Dark Photon in PBC
 For the most part simple rescaling can allow for result comparisons

Dark Photon's have previously been discussed here <https://indico.cern.ch/event/729789/>

<https://arxiv.org/pdf/1901.09966.pdf>

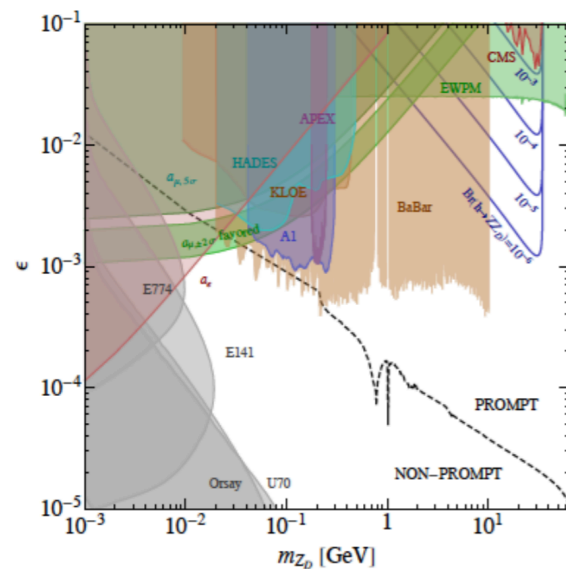
Actually Reconciling

- To reconcile the models we **wanted a Madgraph Model**
 - Started from here Dark Vector + Dark Higgs model here

$$\mathcal{L} = \mathcal{L}_{\text{SM}} - \frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu} + g_{DM} \cos(\theta_a) Z_D \chi\chi + g_{DM} \sin(\theta_a) Z \chi\chi$$

We started with a Madgraph model with
Dark Photon to SM couplings
Also, includes Dark Higgs

Adding DM terms to the
model so we can probe
invisible decays



D. Curtin et al. ([Phys. Rev. D 90, 075004 \(2014\)](#))

In the following slides we will recast
the CMS monojet analysis and
projections to Dark Photon

**Just look at the invisible final state
(LDMX/Belle bounds at low mass)**

Analytic Form

- Additionally with model we can compare w/LHCDMWG
 - From the Lagrangian we can write

$$\mathcal{L} = \mathcal{L}_{\text{SM}} - \frac{\epsilon}{2 \cos \theta_w} F'_{\mu\nu} B^{\mu\nu} + g_{DM} \cos(\theta_a) Z_D \chi\chi + g_{DM} \sin(\theta_a) Z \chi\chi$$

$$\begin{pmatrix} Z \\ Z_D \end{pmatrix} = \begin{pmatrix} \cos \theta_a & \sin \theta_a \\ -\sin \theta_a & \cos \theta_a \end{pmatrix} \begin{pmatrix} Z_0 \\ X \end{pmatrix} \quad \text{Taking usual mixing scenario}$$

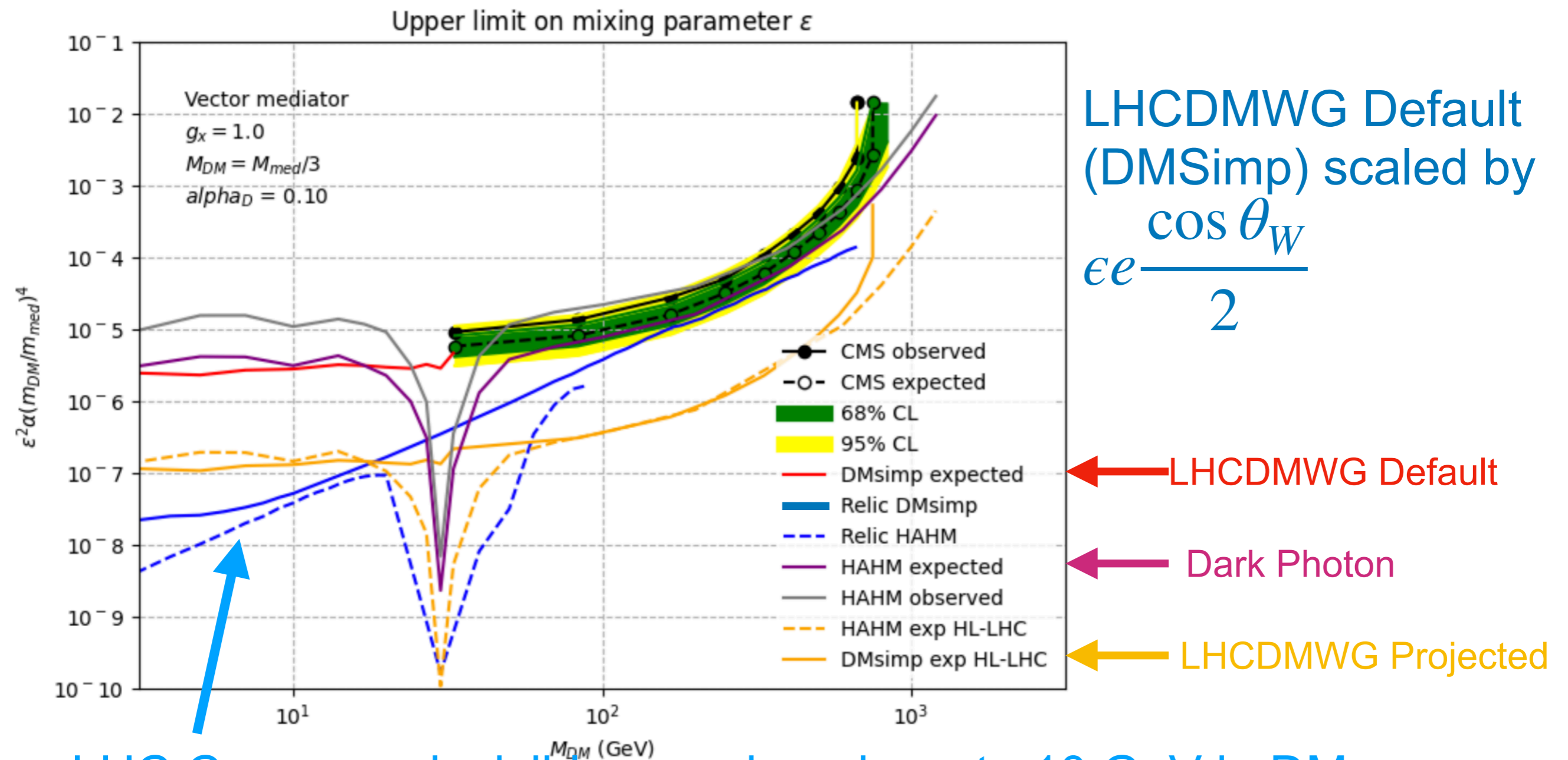
$$g_q = \frac{e \sin \theta_a}{2 \tan \theta_w} \approx e\epsilon \frac{1}{\Delta_z - 1} \frac{\cos \theta_w}{2}$$

$$\Delta_z = \left(\frac{M_{z'}}{M_z} \right)^2$$

Master Formula Allows us to translate between the two

The Result

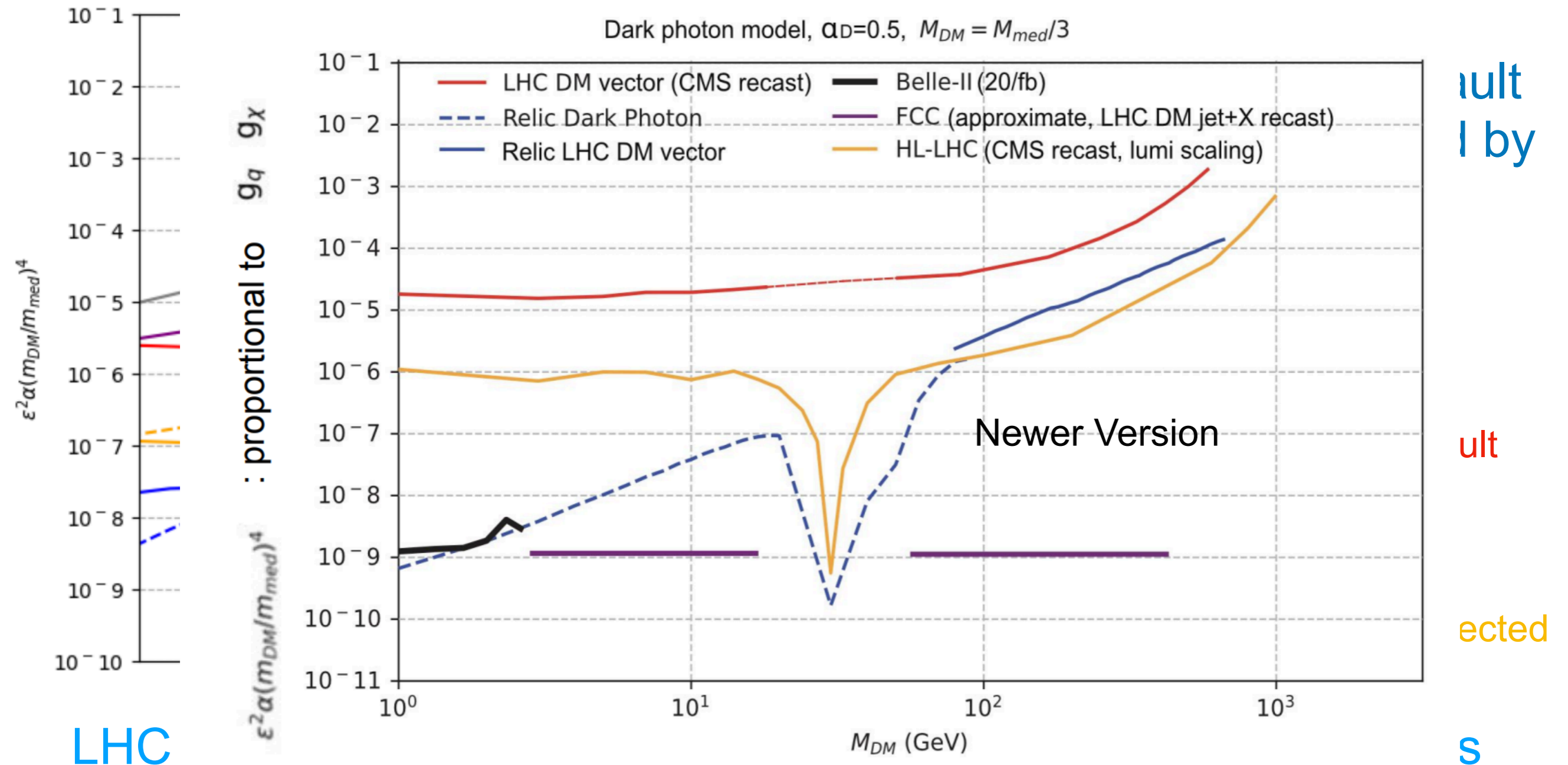
- LHC Monojet Analysis is in MadAnalysis
 - Relic density computed with MadDM (maps well)



LHC Can cover invisible searches down to 10 GeV in DM mass

The Result

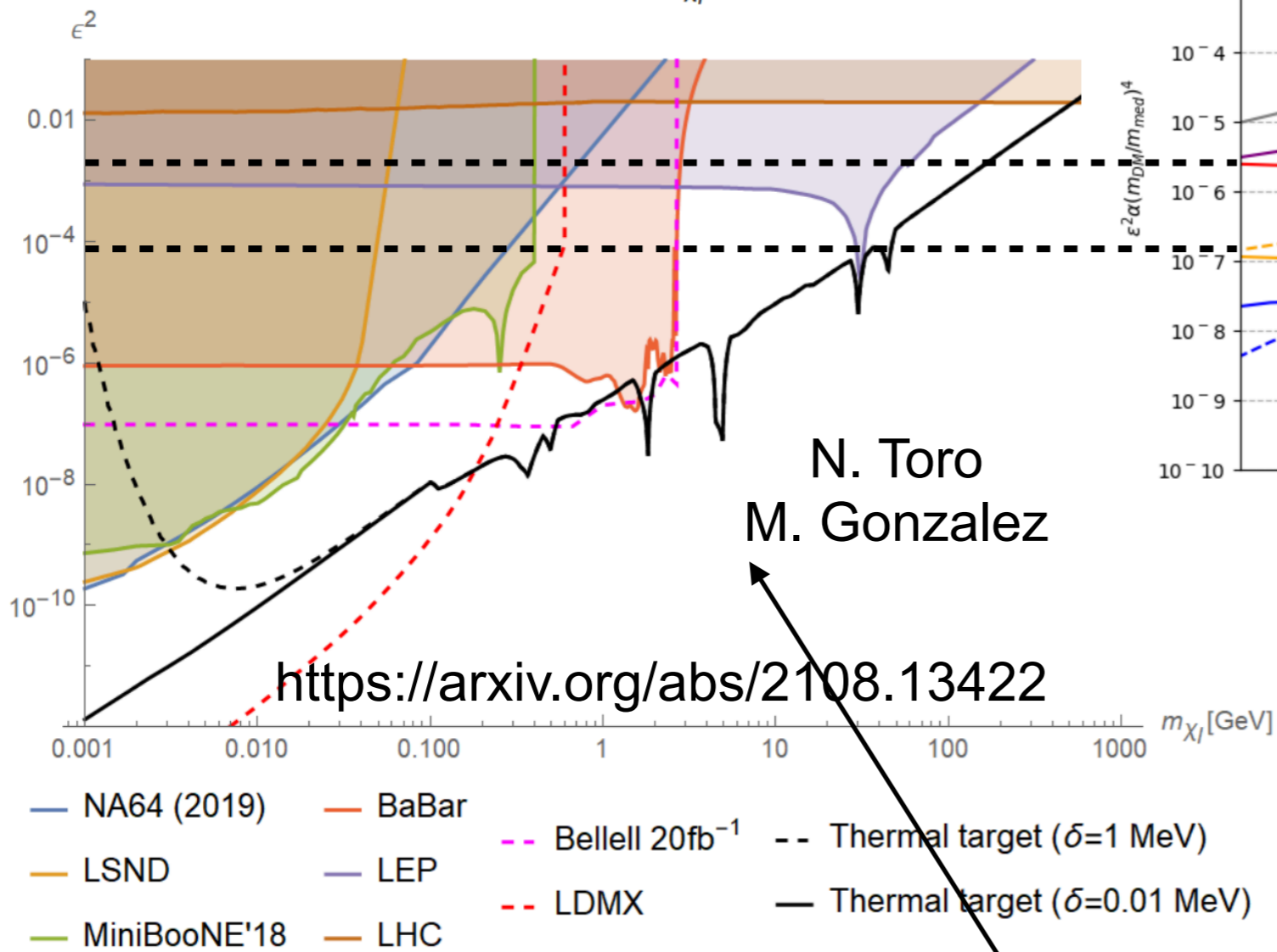
- LHC Monojet Analysis is in MadAnalysis
 - Relic density computed with MadDM (maps well)



Check of Some Params

Relic calculations match pretty closely with other calculations

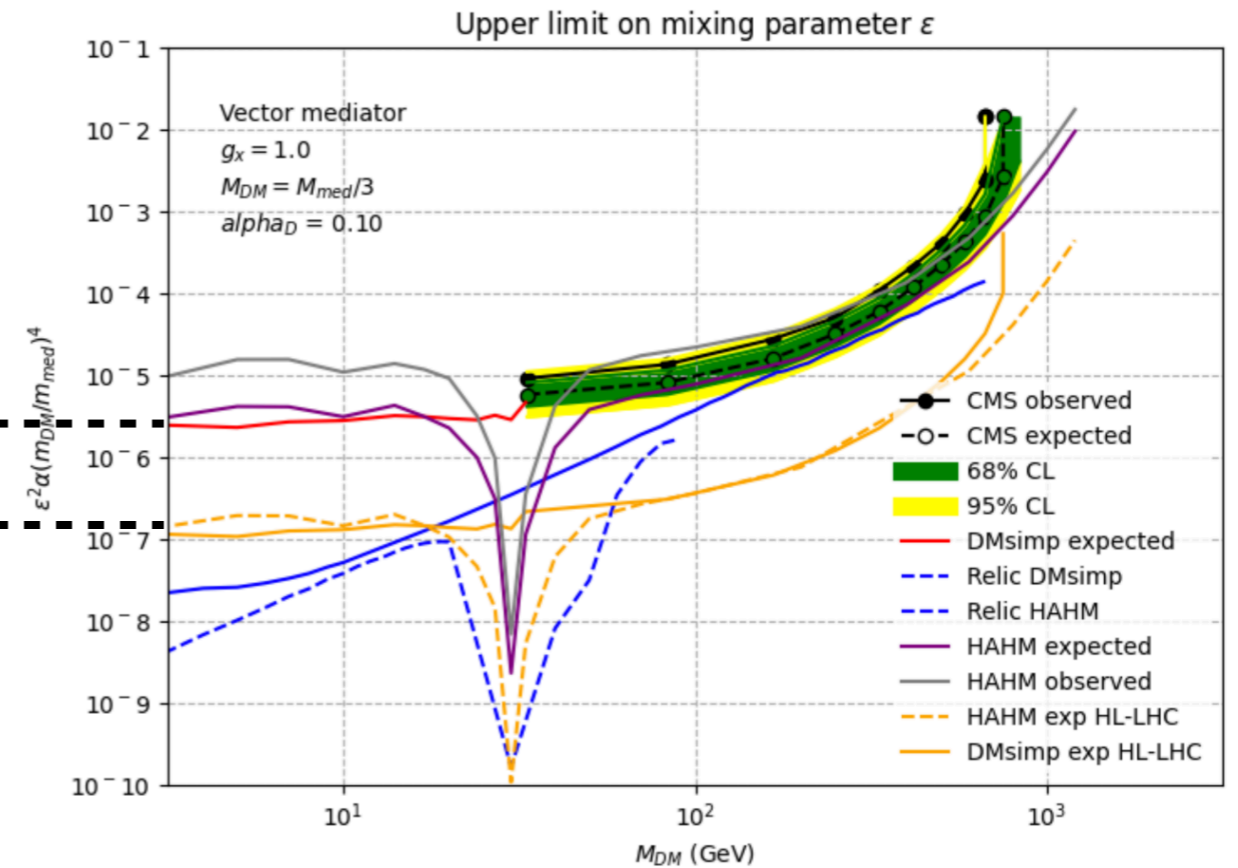
$$\alpha_D = 0.5, \quad m_{A'} = 3(m_{\chi_I} + \delta/2)$$



<https://arxiv.org/abs/2108.13422>

N. Toro
M. Gonzalez

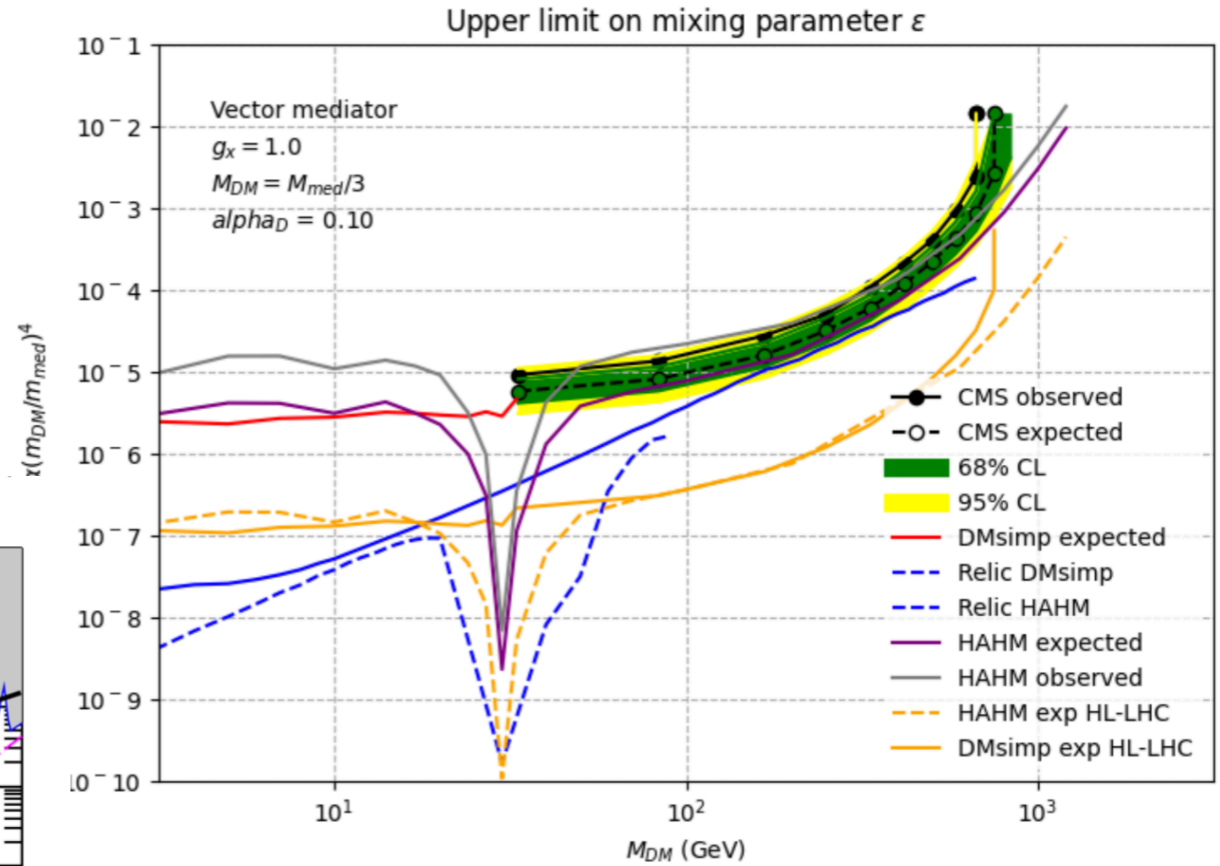
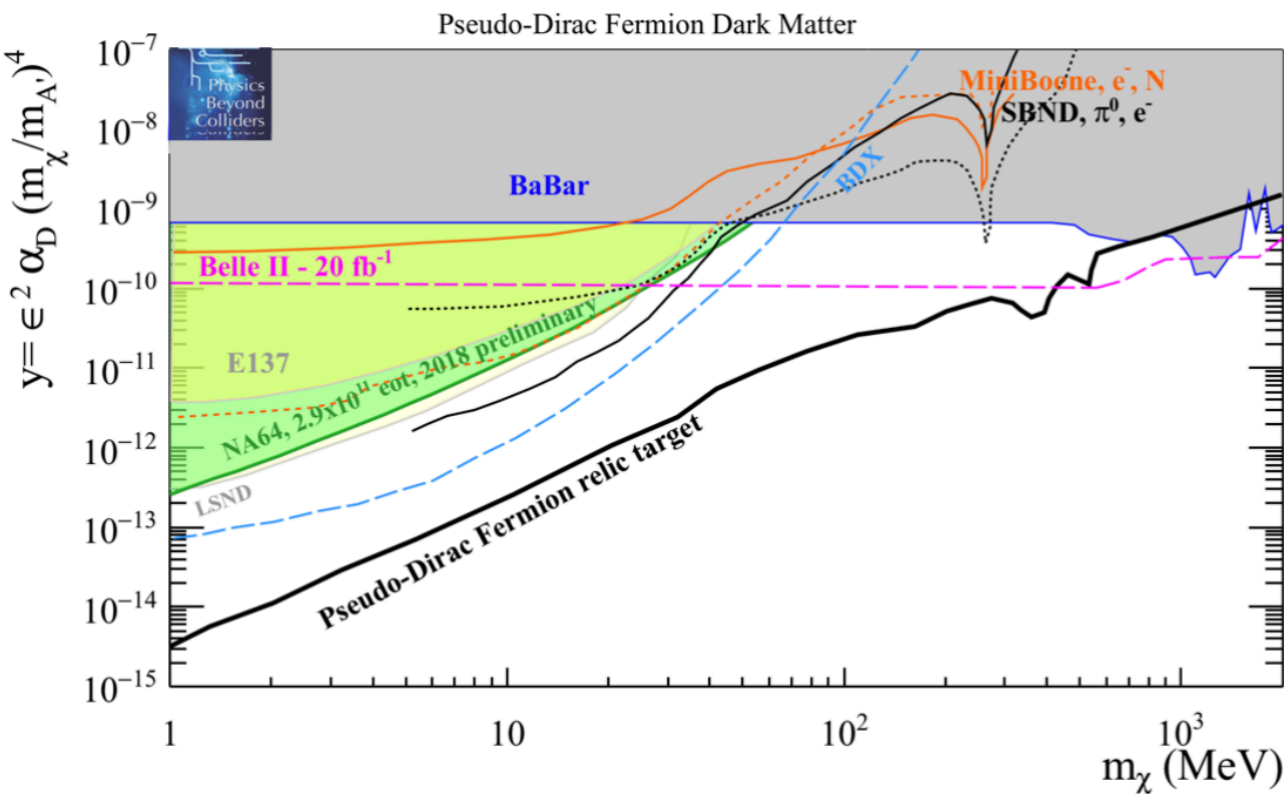
Cross Check



Bounds from LHC appear stronger than on left plot

Now Connecting them

Appears that we can now connect plots into one



LHC is complementary
 Similar goals on similar
 timescales

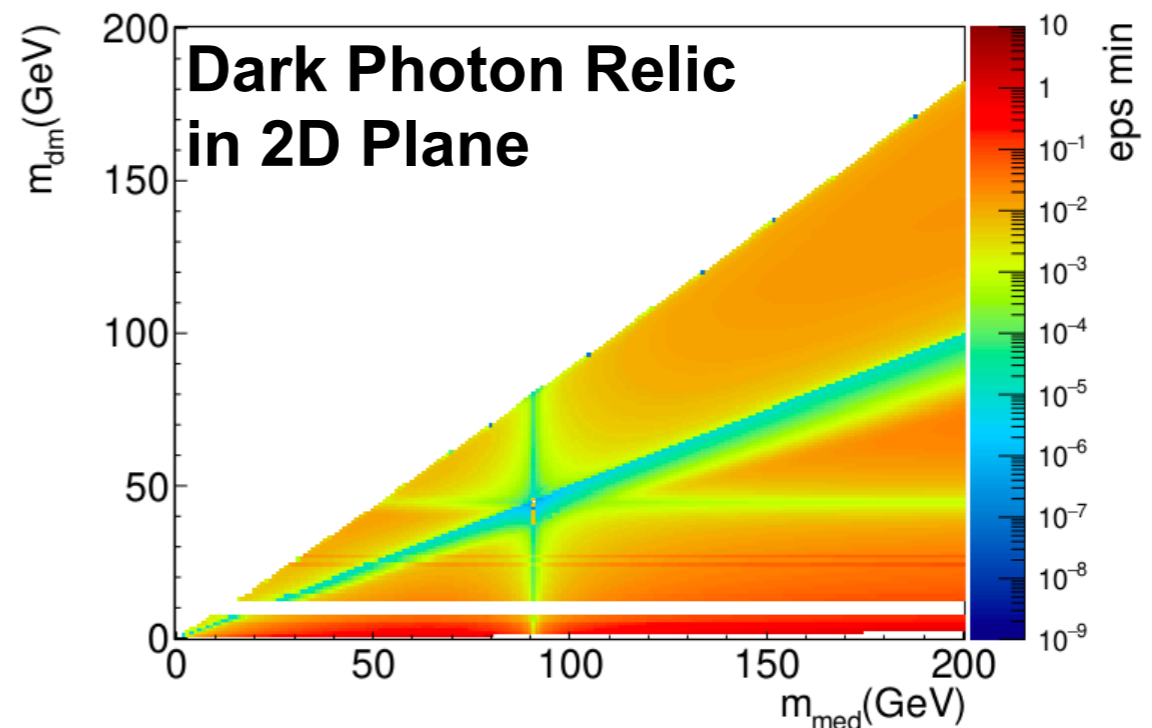
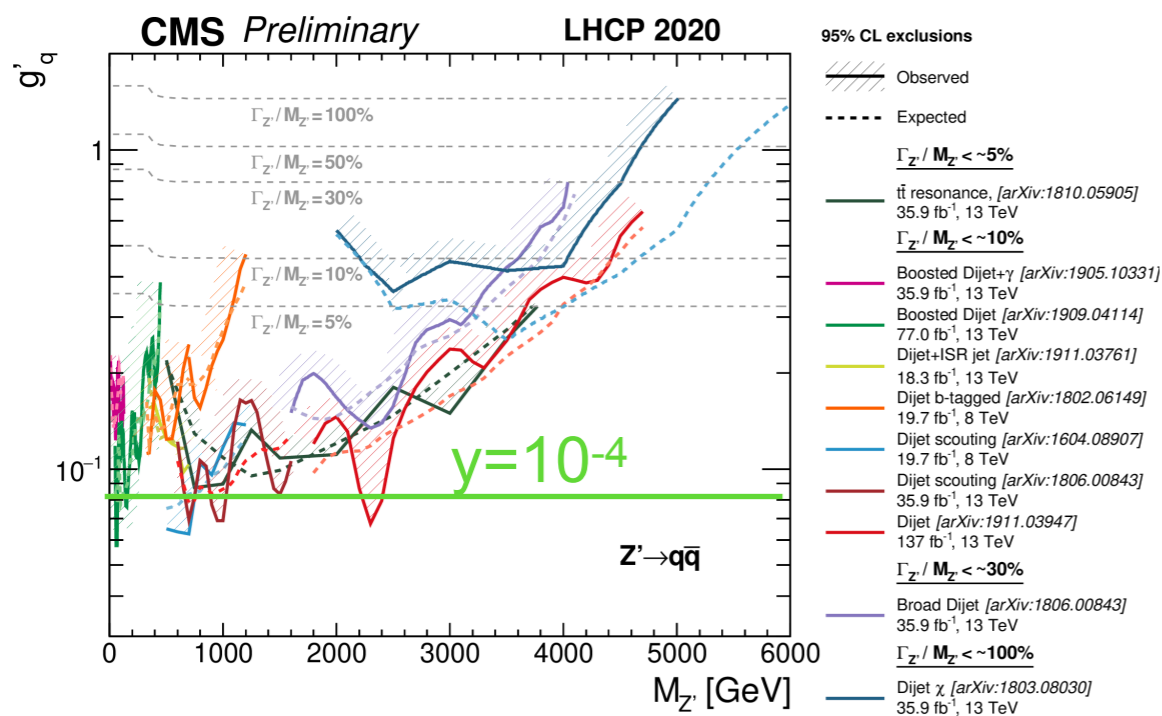
LHC goes left when mediator mass gets larger



Note Also that as $\frac{m_{DM}}{m_{med}}$ gets larger LHC DM searches are the only game in town

Additional Plots

- With Madgraph model we have some flexibility
 - MG mode has the full Higgs to dark photon couplings
 - Can envision adding the Higgs/Dark Higgs bounds
 - Visible searches provide bounds for heavy DM
- Since $g_q=0.01-0.1$ maps $y=10^{-7}-10^{-4}$ include jets/lepton bounds
 - $y > 10^{-4}$ we have largely excluded this up to 2 TeV



Comparisons w/PBC

$$\mathcal{L}_{\text{scalar}} = -g_{\text{DM}} \phi \bar{\chi} \chi - g_q \frac{\phi}{\sqrt{2}} \sum_{q=u,d,s,c,b,t} y_q \bar{q} q$$

Enforcing a mixing with the Higgs
Higgs to Invisible dominates
bounds (adds VBF channel)

$$g_q = -\sin \theta$$

Portal	Coupling
Dark Photon, A_μ	$-\frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu}$
Dark Higgs, S	$(\mu S + \lambda S^2) H^\dagger H$
Axion, a	$\frac{a}{f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}, \frac{a}{f_a} G_{i,\mu\nu} \tilde{G}_i^{\mu\nu}, \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$
Sterile Neutrino, N	$y_N L H N$

DMWG presents results as a scalar w/o Higgs mixing

This eliminates the ϕ to SM vector boson coupling

However, Higgs to invisible is presented with Singlet Mixing model

Singlet Mixing Model

$$\mathcal{L} \supset -y_{\text{DM}} s \bar{\chi} \chi - \mu s |H|^2$$

What if we make a complete singlet scalar model?

Observed mass eigenstates

$$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix} = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix}$$

With vector boson interactions it will mix w/Higgs

$$\mathcal{L} \supset -y_{\text{DM}} (\sin \theta h_1 + \cos \theta h_2) \bar{\chi} \chi \quad \text{Higgs to Invisible}$$

$$+ (\cos \theta h_1 - \sin \theta h_2) \left(\frac{2M_W^2}{v} W_\mu^+ W^{-\mu} + \frac{M_Z^2}{v} Z_\mu Z^\mu - \sum \frac{m_f}{v} \bar{f} f \right)$$

Standard LHC Model w/MC....

To Map to PBC models

We need to fix DM coupling
and take it very large

Singlet Mixing Model

$$\mathcal{L} \supset -g_{\text{DM}} s \bar{\chi} \chi - \mu s |H|^2$$

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Singlet Mixing Model

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Observed mass eigenstates

$$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix} = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix}$$

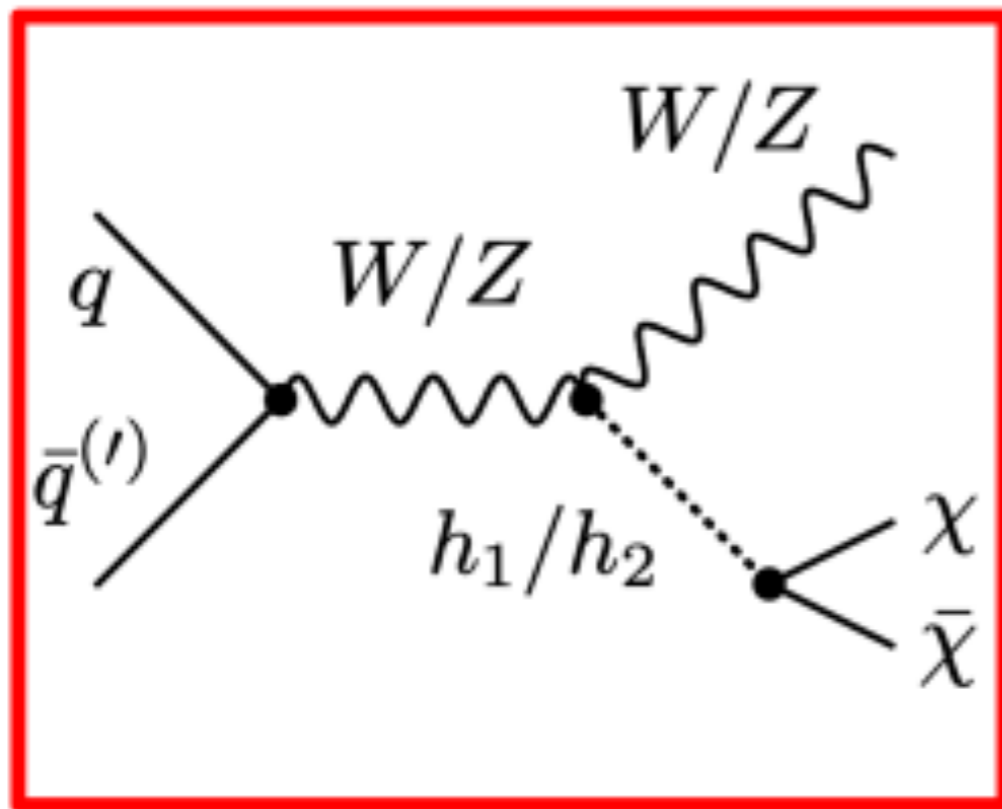
Modified Higgs Vector Boson Couplings

$$\mathcal{L} \supset -g_{\text{DM}} (\sin \theta h_1 + \cos \theta h_2) \bar{\chi} \chi$$

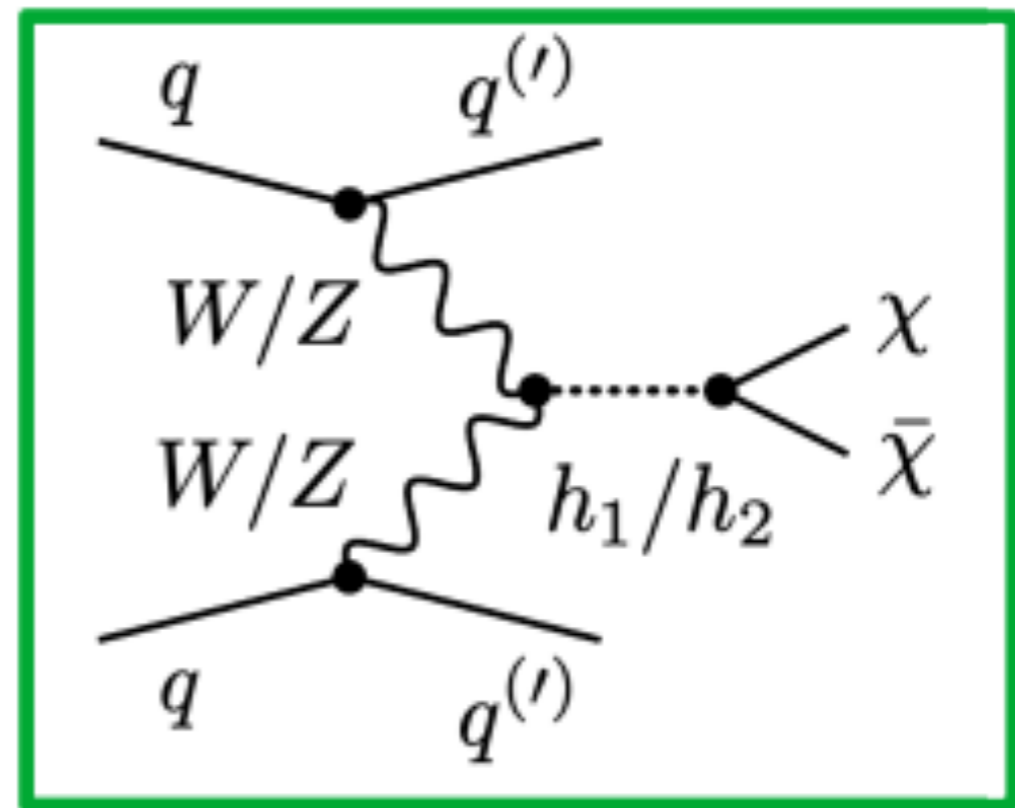
$$+ (\cos \theta h_1 - \sin \theta h_2) \left(\frac{2M_W^2}{v} W_\mu^+ W^{-\mu} + \frac{M_Z^2}{v} Z_\mu Z^\mu - \sum_f \frac{m_f}{v} \bar{f} f \right)$$

What are the scale of Modifications?

$$\Gamma(h_1 \rightarrow \chi\bar{\chi}) = \frac{g_{\text{DM}}^2 \sin^2 \theta m_{h_1}}{8\pi} \left(1 - \frac{4m_\chi^2}{m_{h_1}^2}\right)^{3/2}$$



Higgsstrahlung



VBF Higgs to invisible

What Drives Constraints

$$\Gamma(h_1 \rightarrow \chi\bar{\chi}) = \frac{g_{\text{DM}}^2 \sin^2 \theta m_{h_1}}{8\pi} \left(1 - \frac{4m_\chi^2}{m_{h_1}^2}\right)^{3/2}$$

Higgs to invisible bounds puts constraints a 10% bound equates to $\sin \theta < 0.002$ (note $g_{\text{DM}} = 1.0$)

Higgs boson coupling of 10% bound equates to $1 - \cos \theta < 0.1 \rightarrow \sin \theta < 0.3$

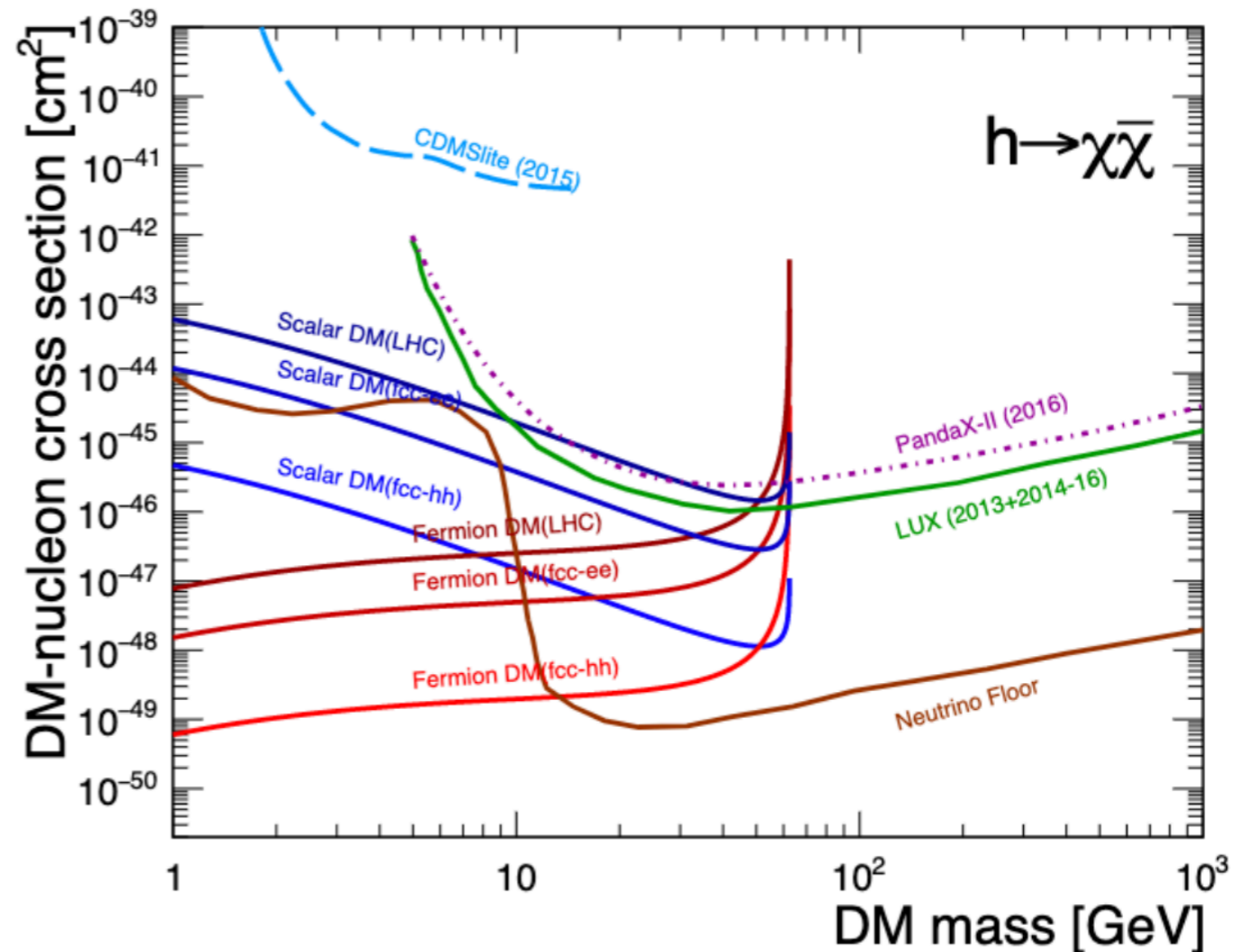
Both invisible decay and Couplings play a critical role

This model is effectively the same as the PBC model

Typically take $g_{\text{DM}} = y_{\text{DM}}$ makes Higgs to invisible less sensitive

Propagating Bounds

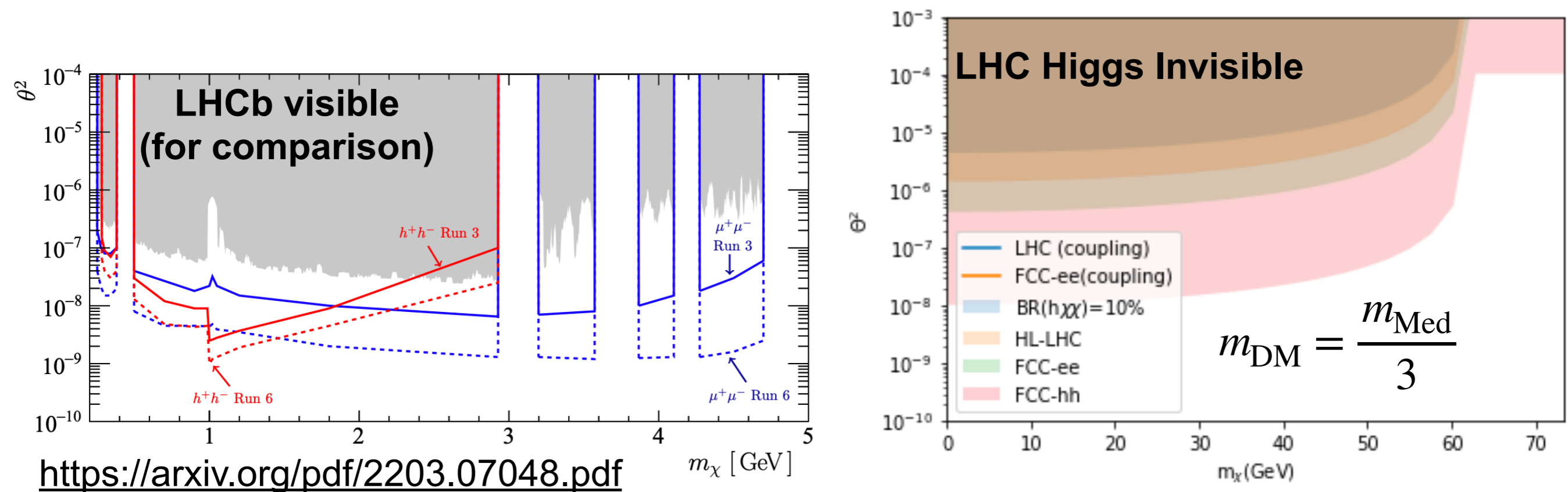
- Higgs to invisible Bounds
 - Current LHC $H(\text{inv}) > 0.1$
 - Future LHC $H(\text{inv}) > 0.02$
 - FCC-ee $H(\text{inv}) > 0.005$
 - FCC-hh $H(\text{inv}) > 0.0001$



- Current projections of Higgs to invisible similar to Direct Detection
 - Sensitivities comparable in the low DM mass region
 - LHC exceed neutrino floor for light DM

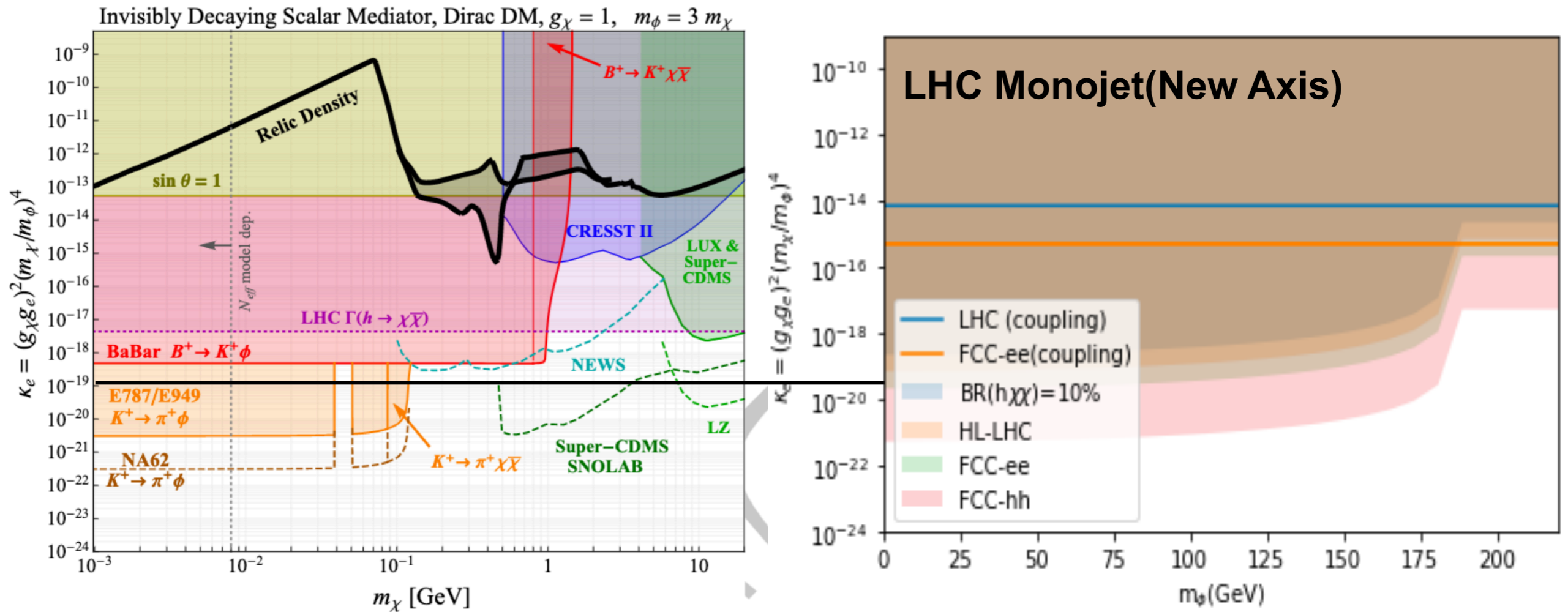
Comparing Standard Plot

- Often the scalar portal is presented in terms of θ^2
 - LHC bounds have clear and large sensitivity



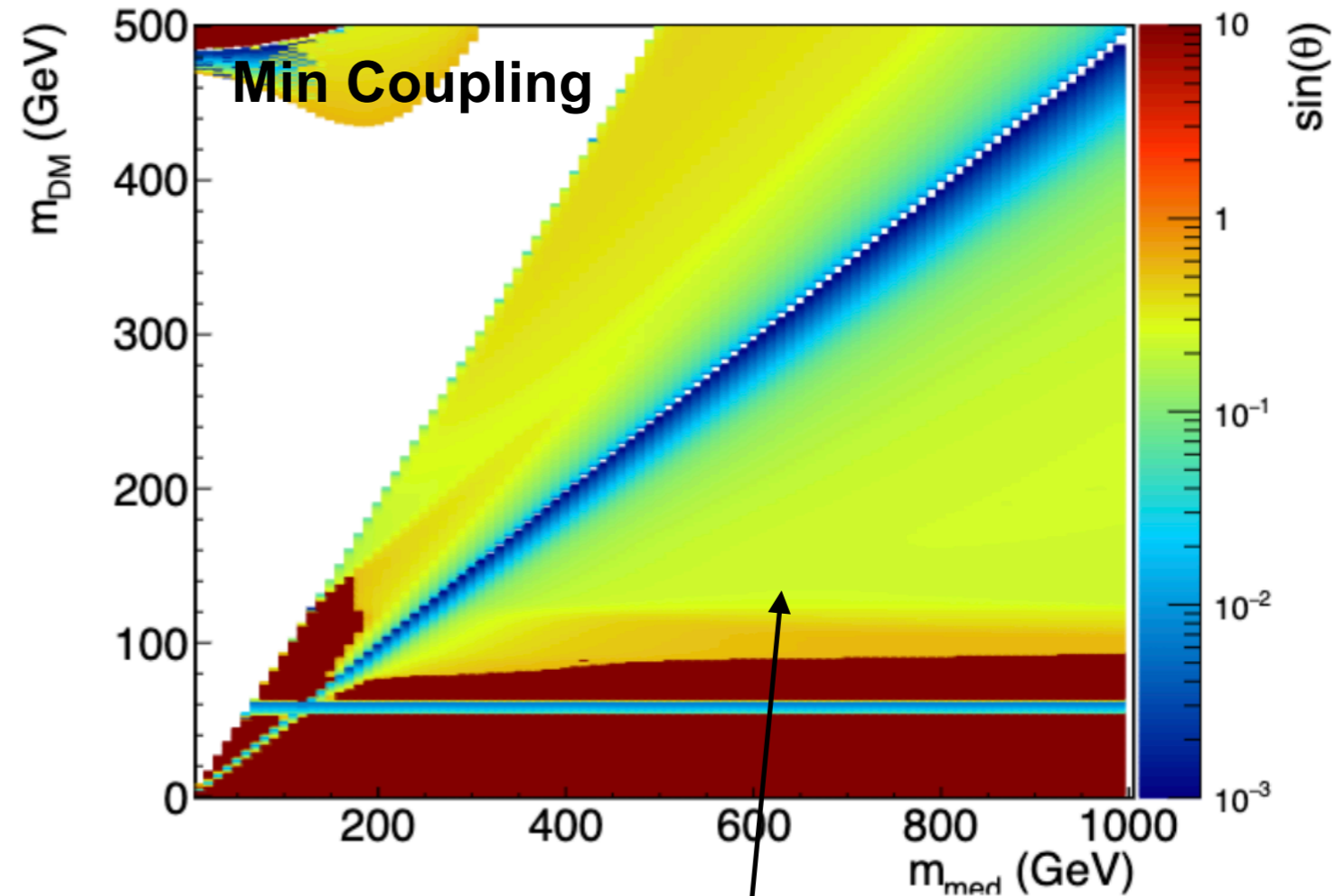
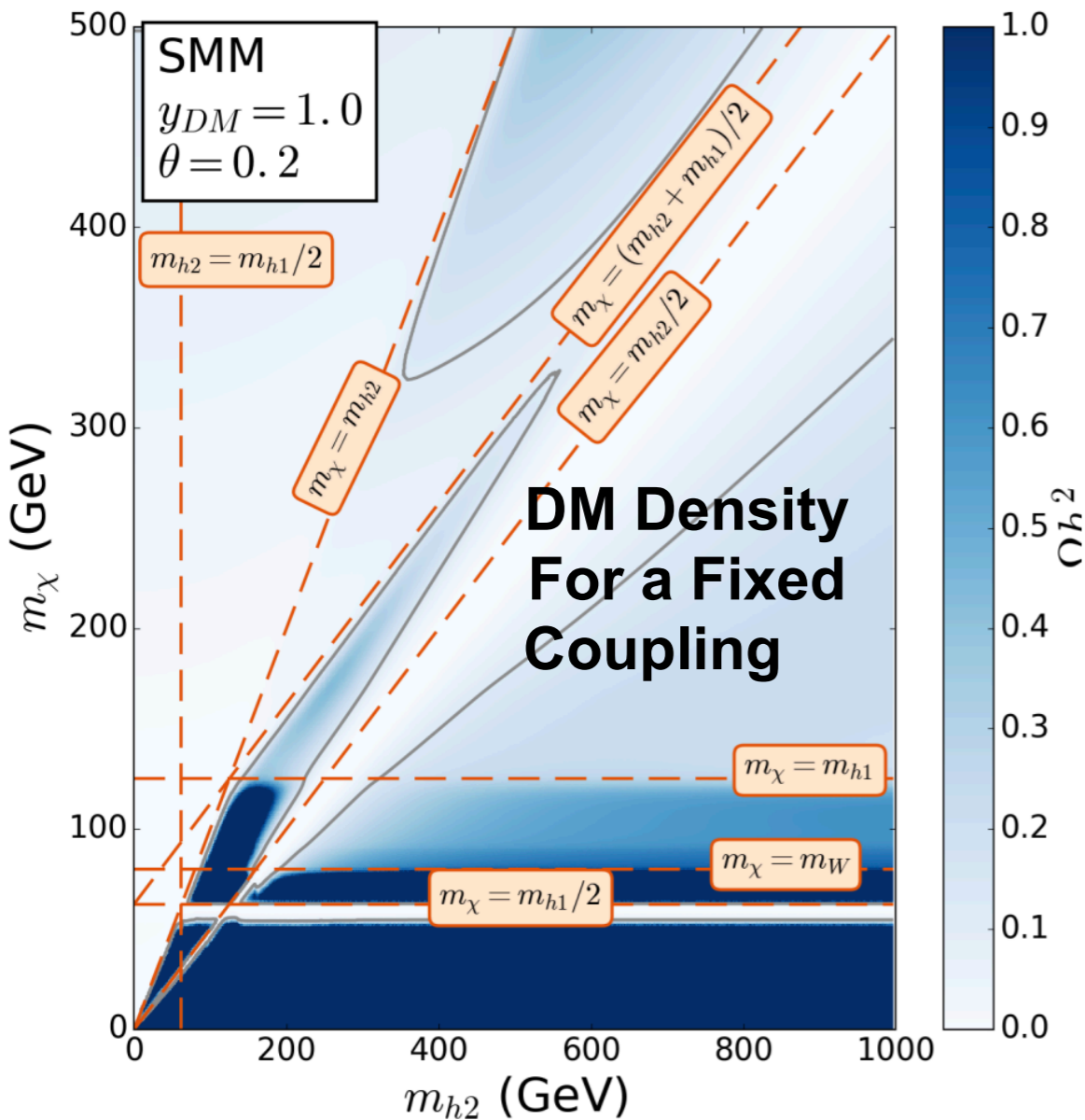
- Bounds for Monojet(invisible) comparable to visible bounds
 - Covers a variety of important final states

Scalar DM Bounds



- LHC Higgs to invisible dominates the scalar DM bounds
 - Additionally Higgs couplings bounds also impact bounds
 - Overall extends sensitivity beyond range of light DM models

Relic Density



- Overall minimum coupling bound is very large
 - Mostly constrained by a 5% Higgs coupling measurement
 - A 5% Higgs coupling bound is an equivalent bound on $\sin \theta < 0.1$

Comparisons w/PBC

$$\mathcal{L}_{\text{pseudo-scalar}} = -ig_{\text{DM}}\phi\bar{\chi}\gamma_5\chi - ig_q \frac{\phi}{\sqrt{2}} \sum_{q=u,d,s,c,b,t} y_q \bar{q}\gamma_5 q,$$

Pseudoscalar mediator again similar
Interpretation of couplings also similar

$$g_q = \frac{v}{f_a}$$

Portal	Coupling
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Axion, a	$\frac{a}{f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}, \frac{a}{f_a} G_{i,\mu\nu} \tilde{G}_i^{\mu\nu}, \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$
Sterile Neutrino, N	$y_N L H N$

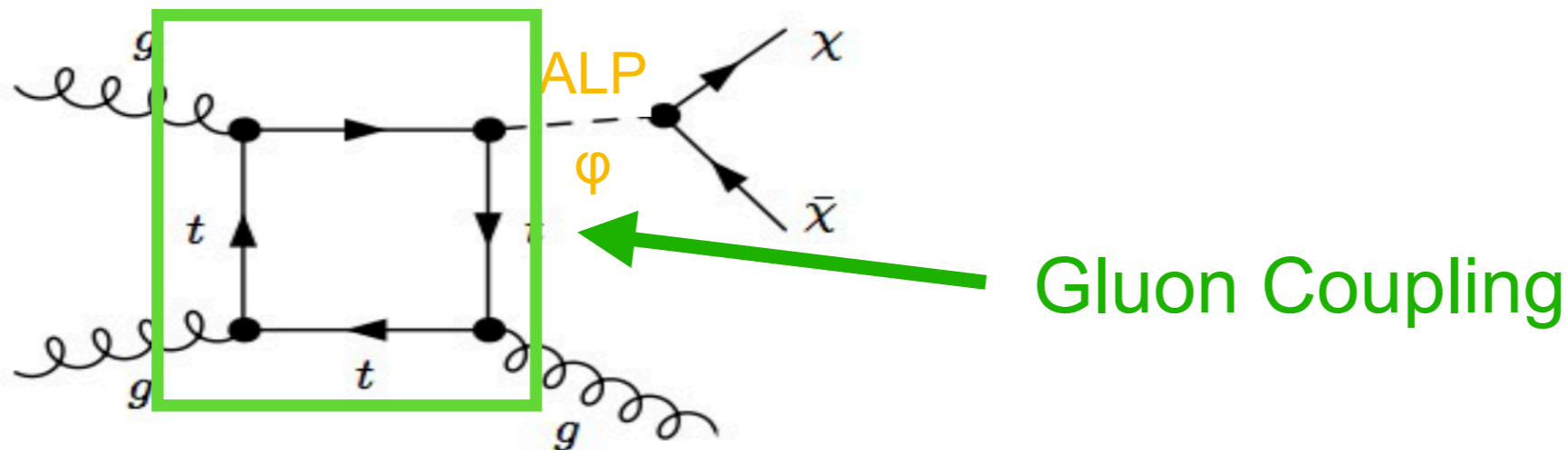
DMWG tends to present pseudoscalar results in two ways:
A single mediator (as a simplified model)
A mediator within a 2HDM

Axion Portal is a recast

- We can translate directly into the axion like portal

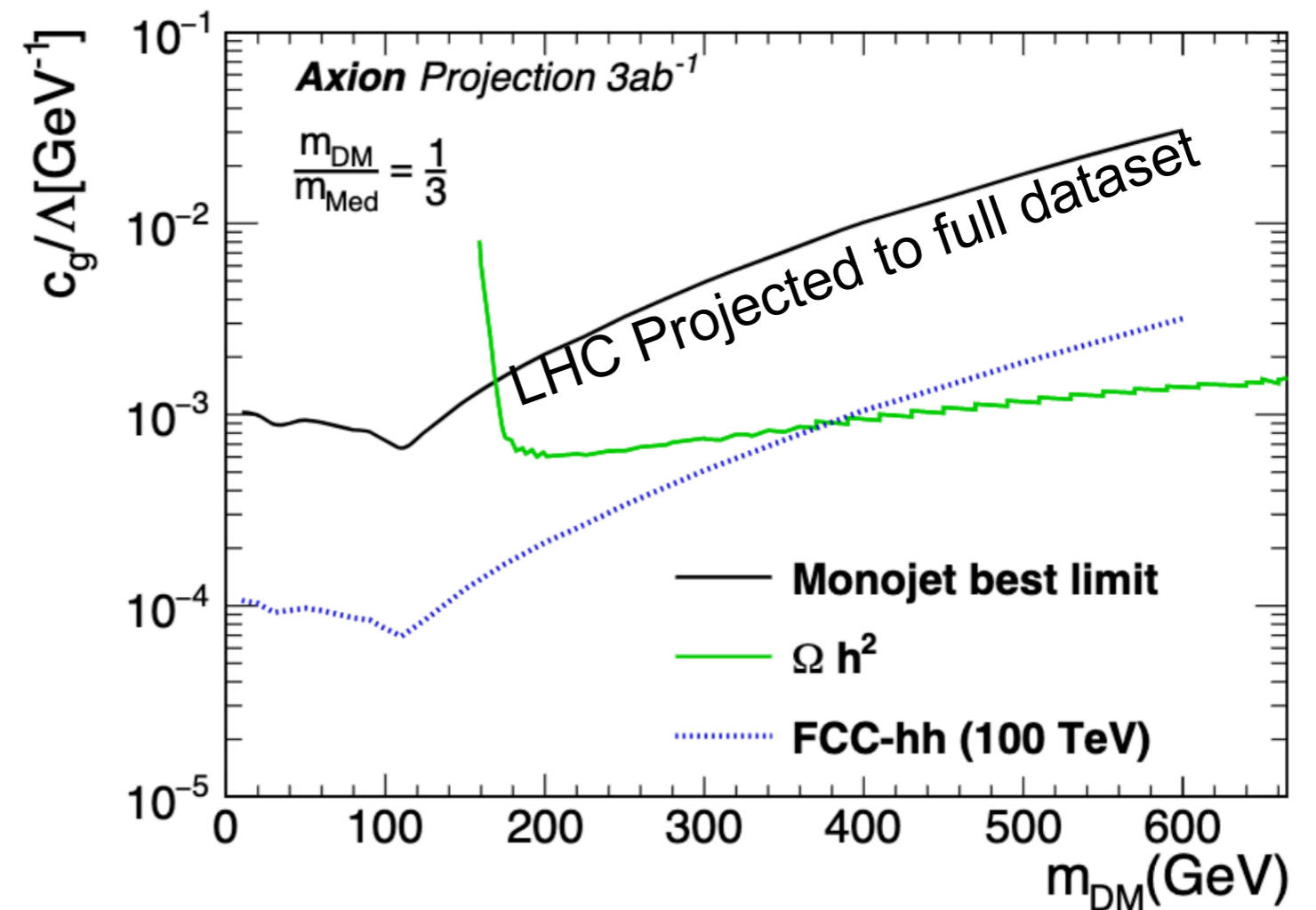
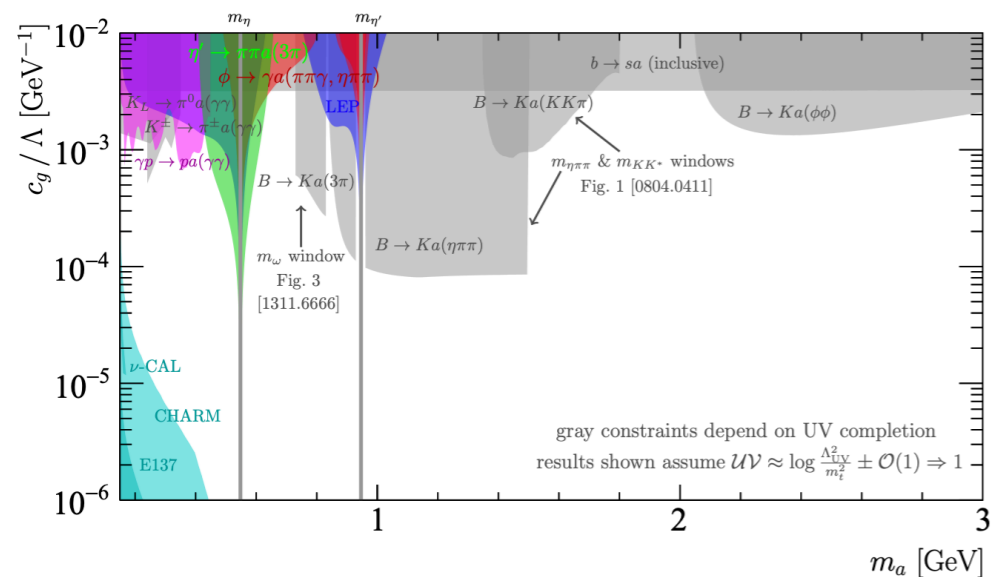
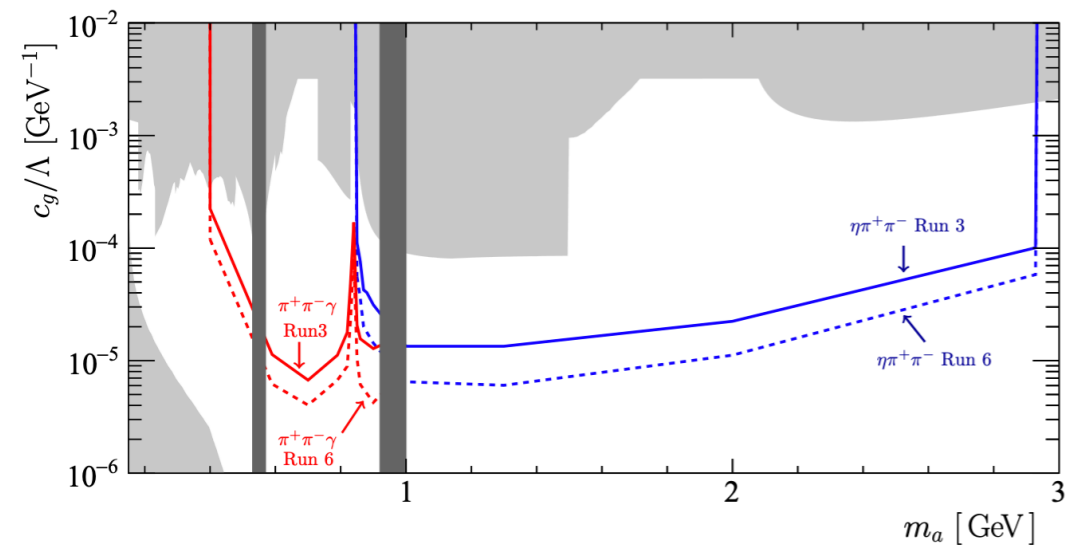
- Governed by one formula $\frac{c_g}{\Lambda} = \frac{g_q}{v}$
- Assumes Gluon coupling comes from a yukawa loop
- Also LHC model assumes yukawa coupling(not need)
 - ▶ Photon coupling not considered in this setup

- With the model used by LHC DM WG gluon coupling is a loop



Axion Portal result

- Bounds written in ALP notation are quite strong
 - Relic density bound exists when mediator mass is higher



LHCDMWG & FIP

- The LHC is the only collider in town above 10 GeV
 - There is a lot it can say about Dark Matter
 - ▶ Particular in context of Higgs and heavy mediators
 - LHCDMWG is the forum for DM interpretations of the LHC
- Light Dark Sector group focuses on specific models
 - There is a large overlap of these models with LHC DM WG
 - We now have a model to enable Dark Photon Interpretations
 - Reconciled ALP and Dark Higgs Portals
 - ▶ Madgraph models exist for both
 - Part of a greater dark sectors effort underway
- New interpretations/models will motivate new directions at LHC

Thanks!

Comparisons w/PBC

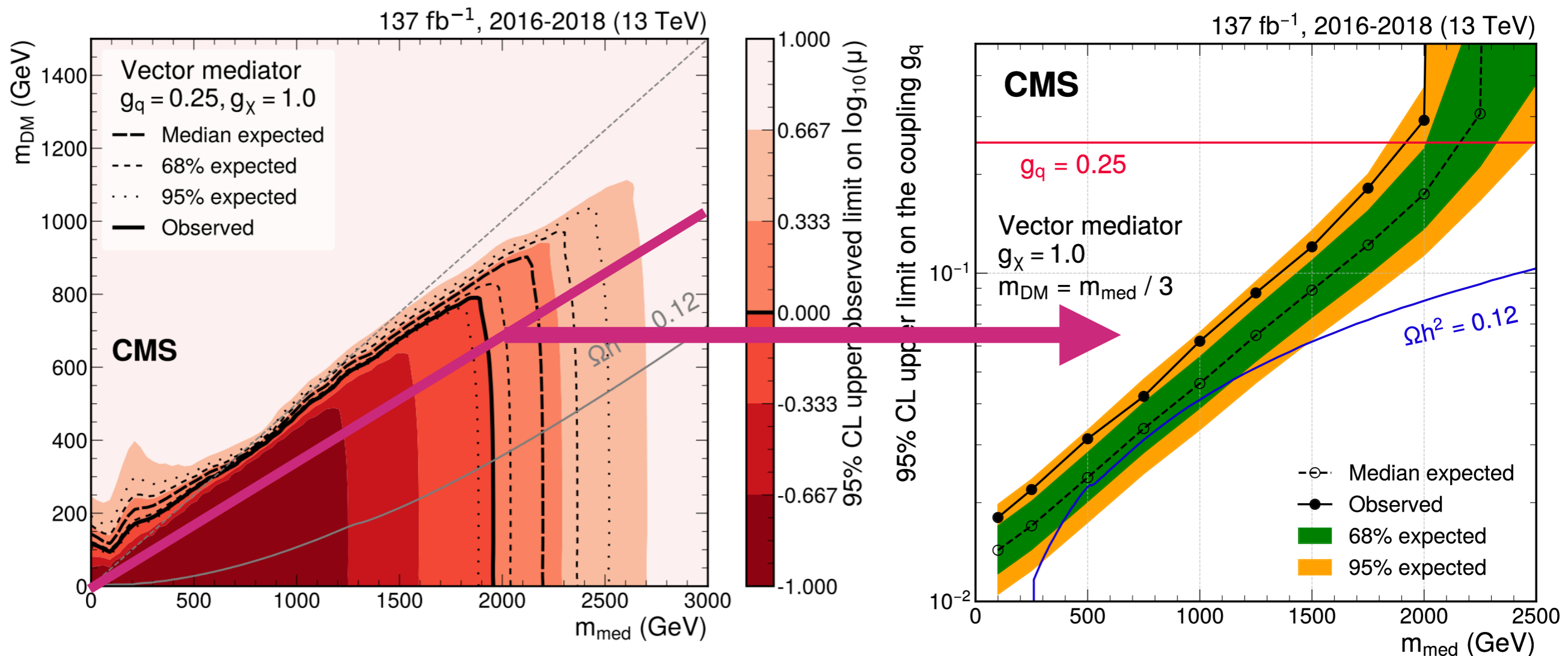
PBC doesn't consider Axial Vector model
(Indeed this model has many constraints on it)

Portal	Coupling
Dark Photon, A_μ	$-\frac{\epsilon}{2 \cos \theta_W} F'_{\mu\nu} B^{\mu\nu}$
Dark Higgs, S	$(\mu S + \lambda S^2) H^\dagger H$
Axion, a	$\frac{a}{f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}, \frac{a}{f_a} G_{i,\mu\nu} \tilde{G}_i^{\mu\nu}, \frac{\partial_\mu a}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$
Sterile Neutrino, N	$y_N L H N$

Currently Sterile Neutrino not a topic in LHCDMWG, but could be considered in future results

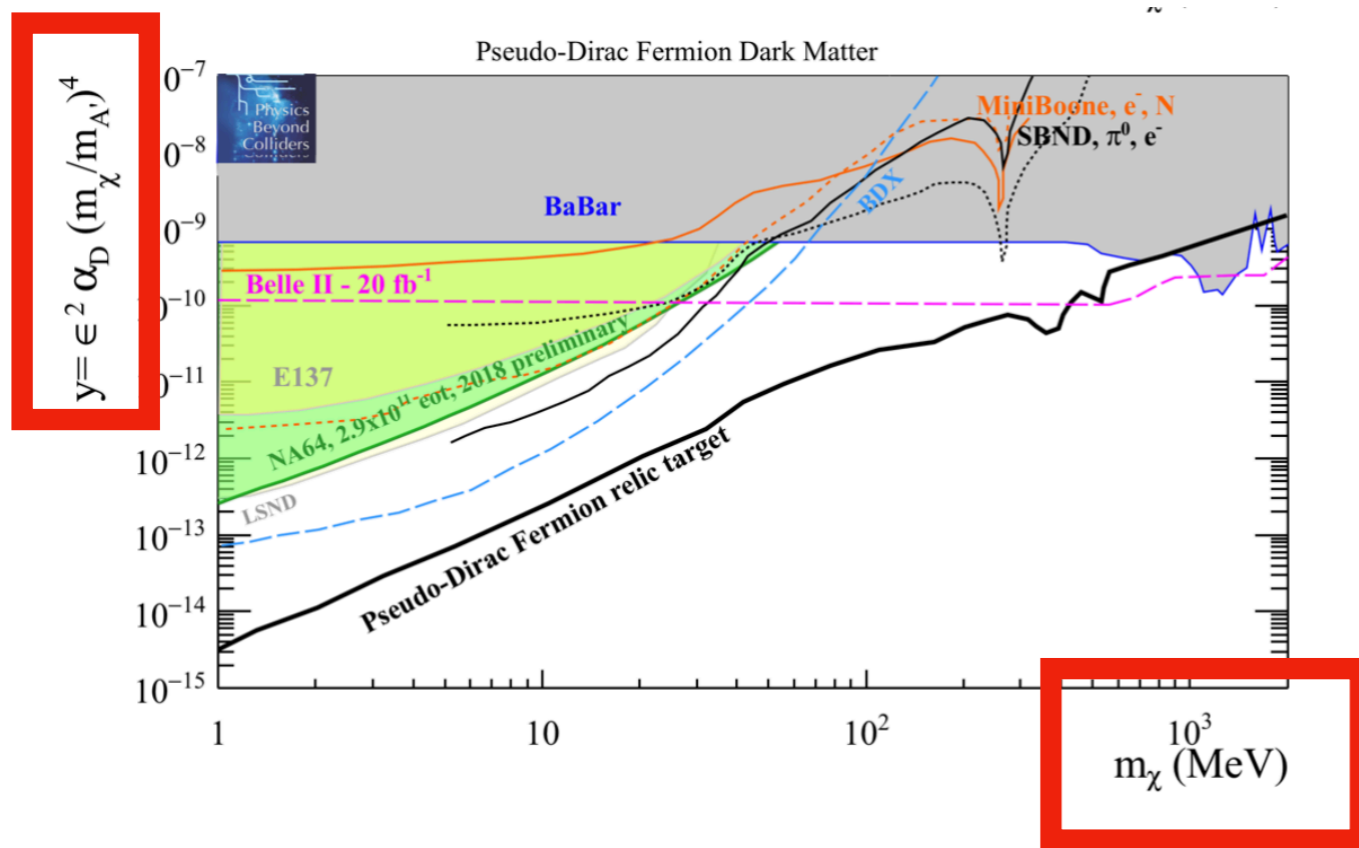
Presenting (Vector) results

- Have been active efforts to harmonize results in DMWG
 - Added a lot of plots to allow for small coupling interpretations



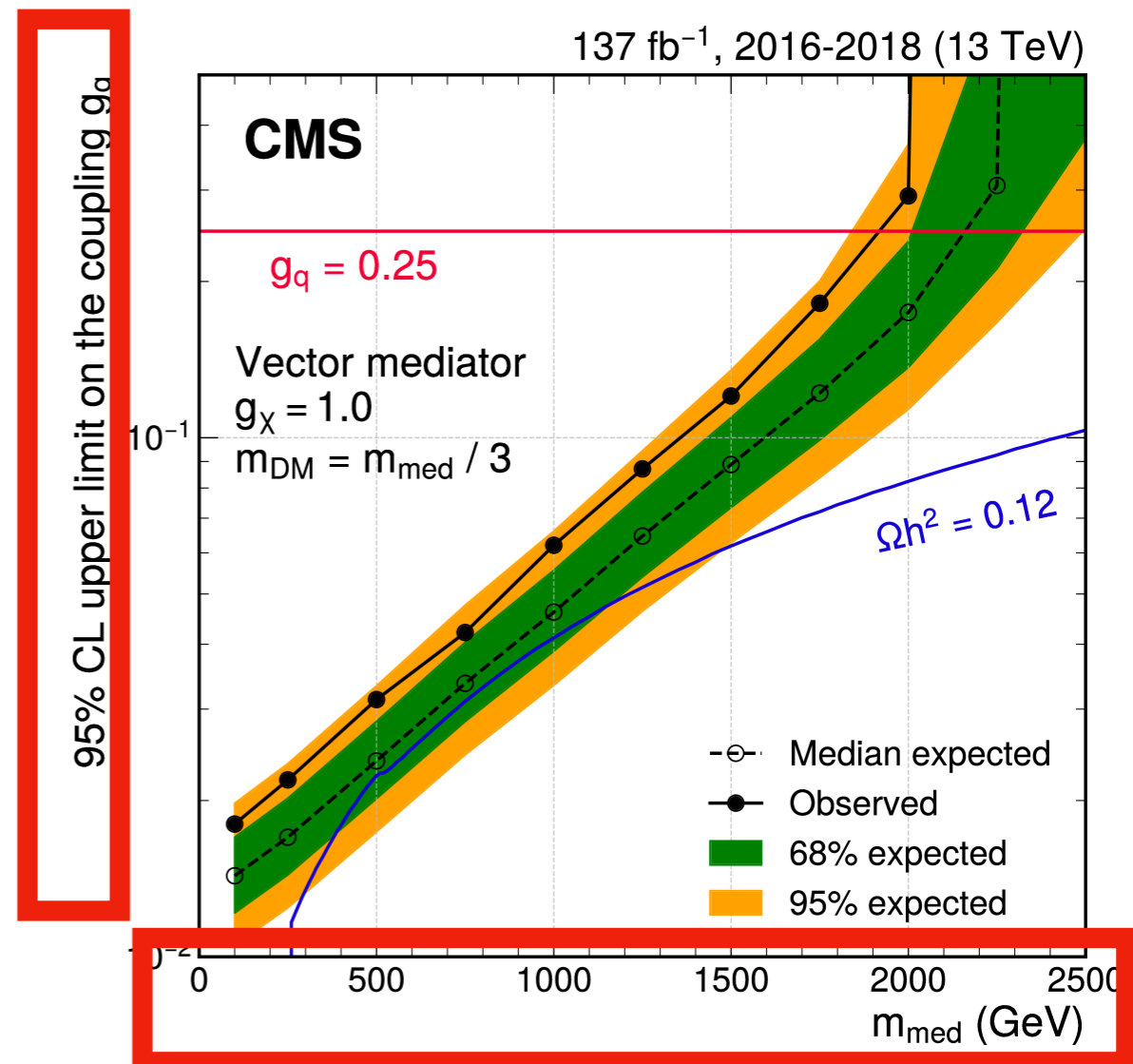
Comparing w/PBC

- Results are often presented on **very different axes**
 - Despite the different axes the models are very similar
 - It is possible to connect these plots in a coherent way



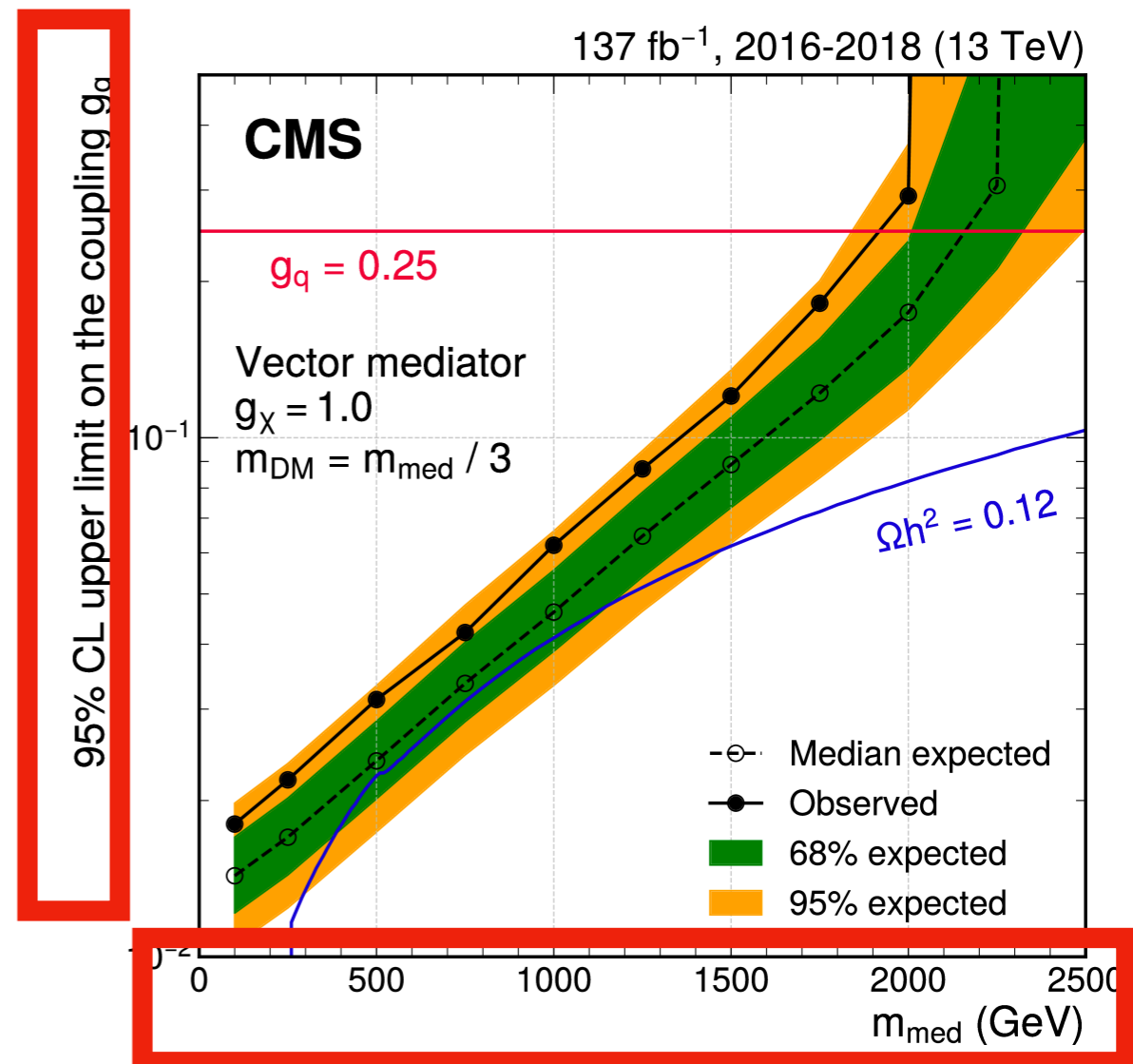
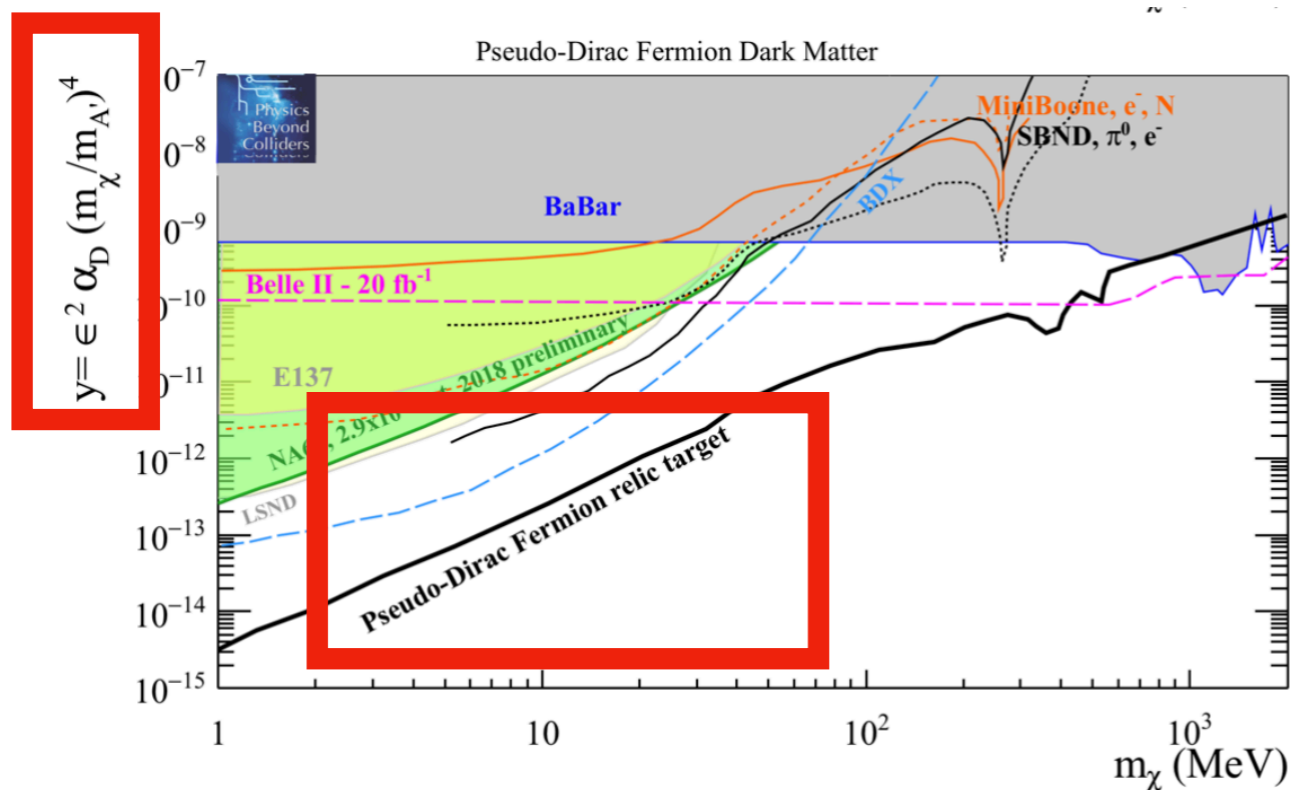
One important note is that for

$$\text{fixed } \alpha_D \text{ the relic bound } \propto \frac{\epsilon}{m_{A'}} \propto \frac{g_q}{m_{med}}$$



Comparing w/PBC

- Results are often presented on **very different axes**
 - Despite the different axes the models are very similar
 - It is possible to connect these plots in a coherent way

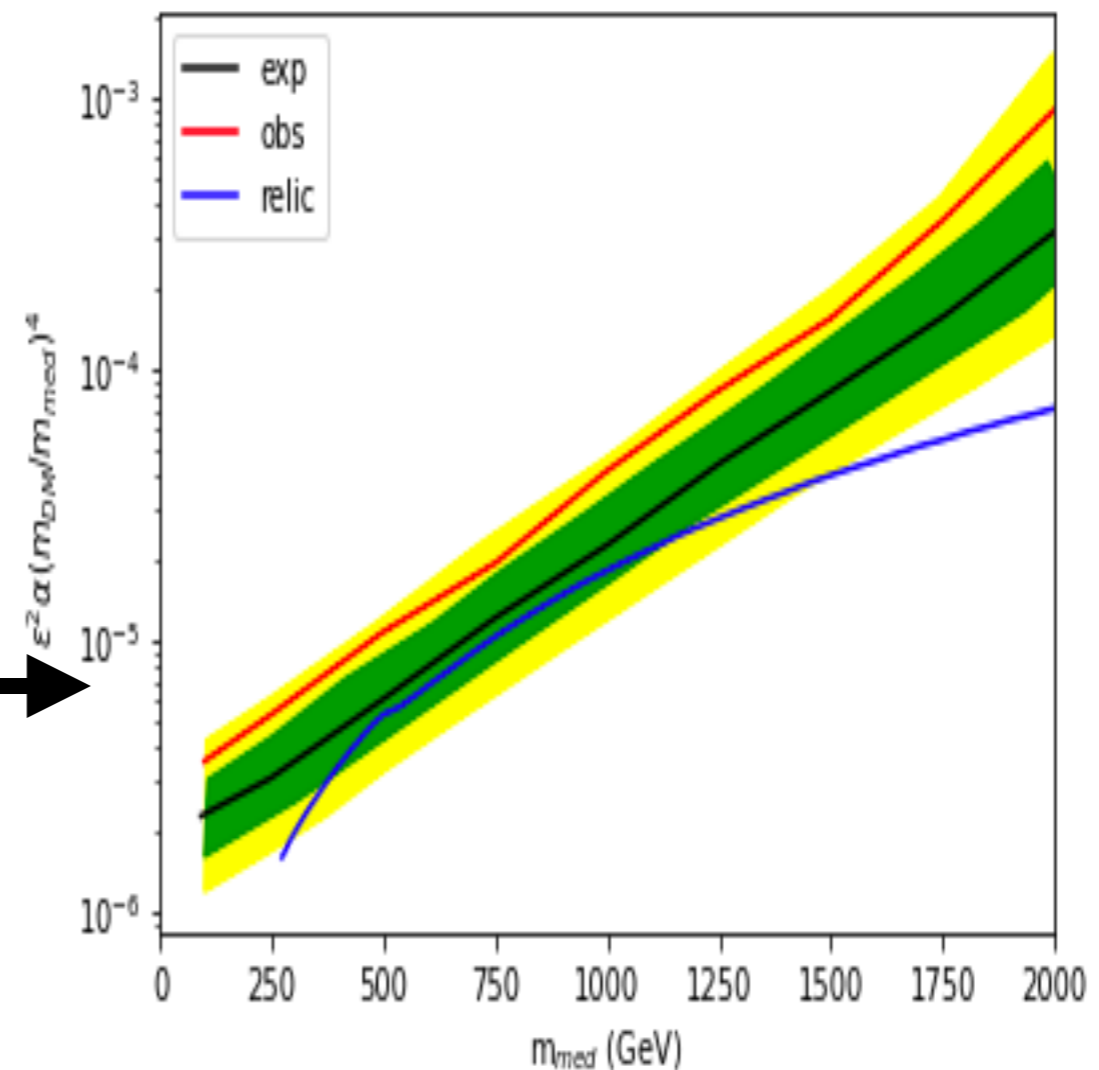
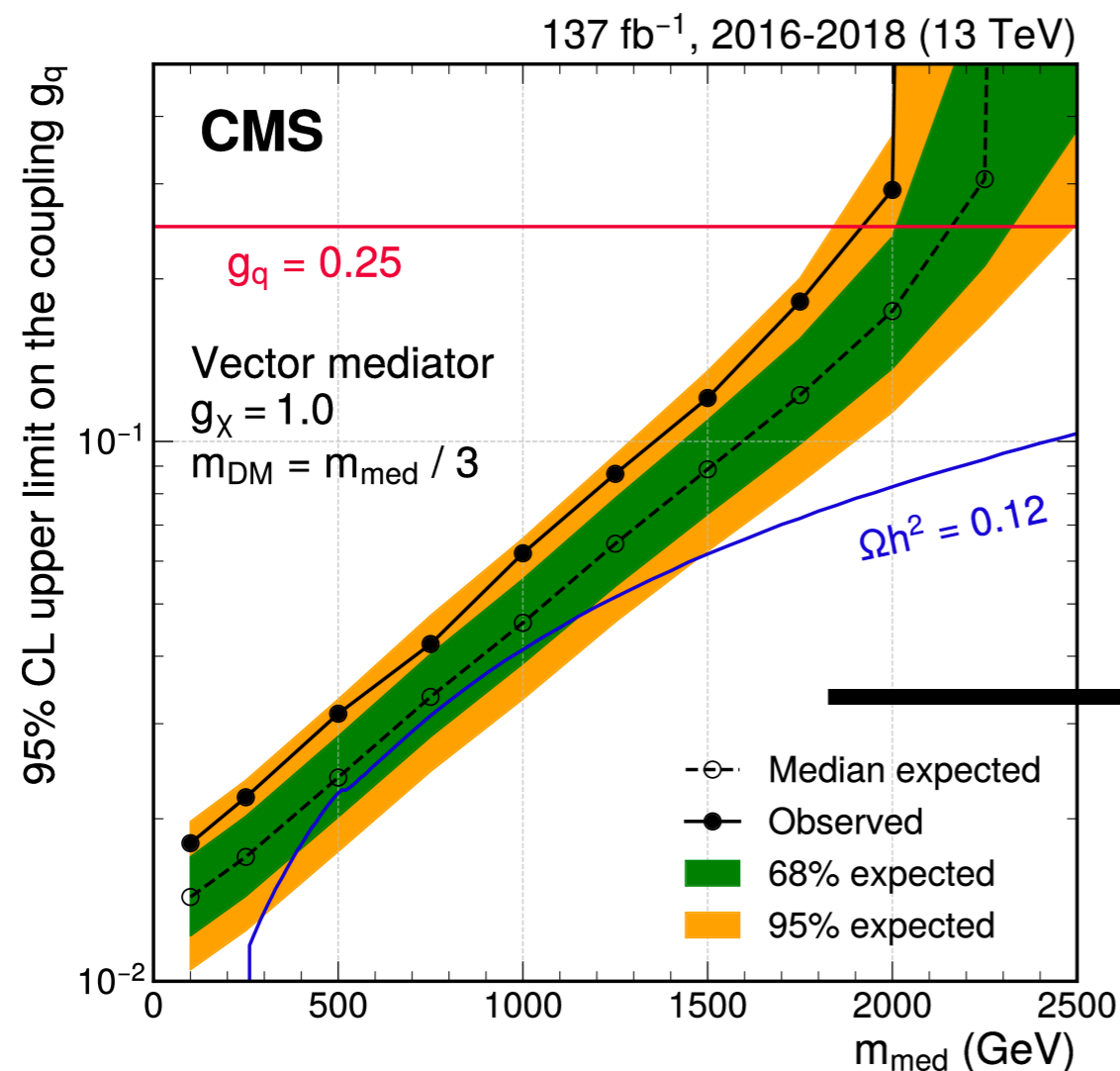


PBC tends to use Pseudo-Dirac DM instead of DM

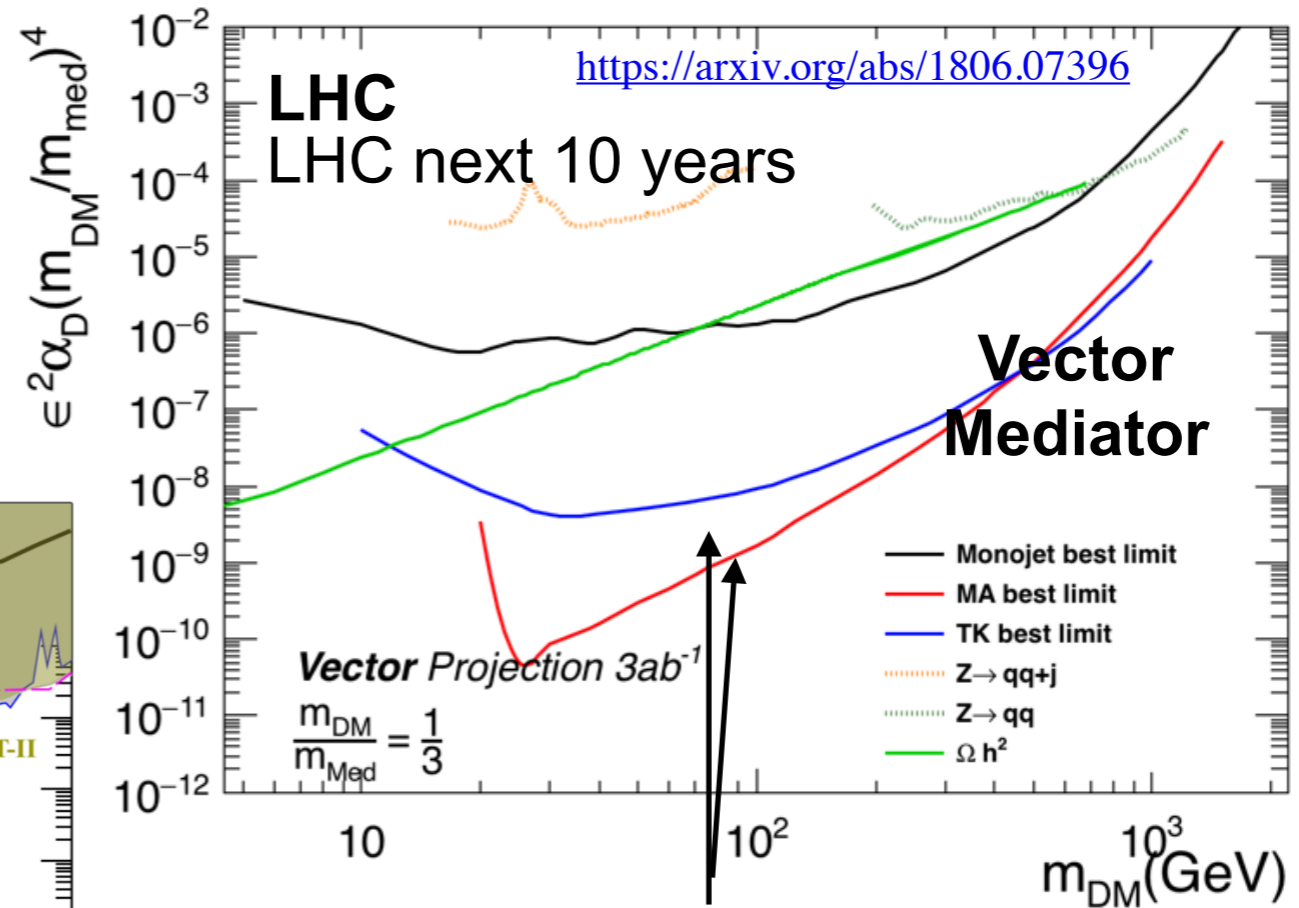
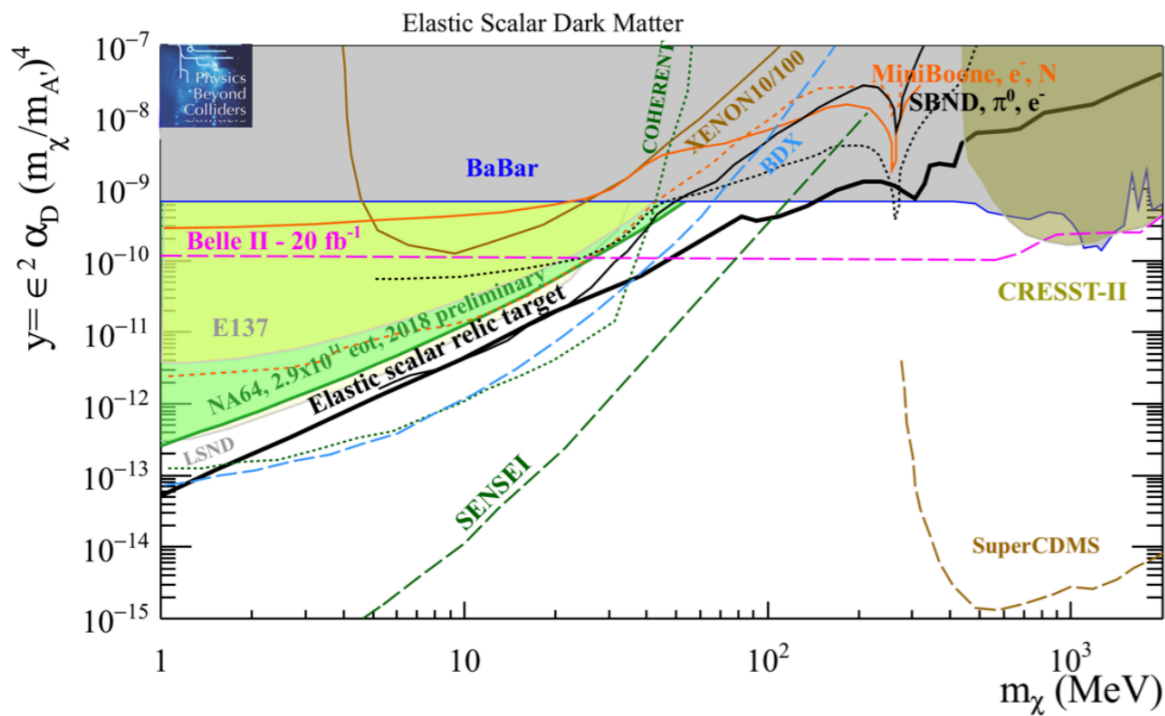
Pseudo-Dirac avoids direct detection DM bounds

Trying to reconcile plots

- A quick comparison of the plots gives a translation
 - y-axis bounds in coupling can be translated
 - Change in bounds is 4 orders of magnitude



An Attempt to reconcile One Plot



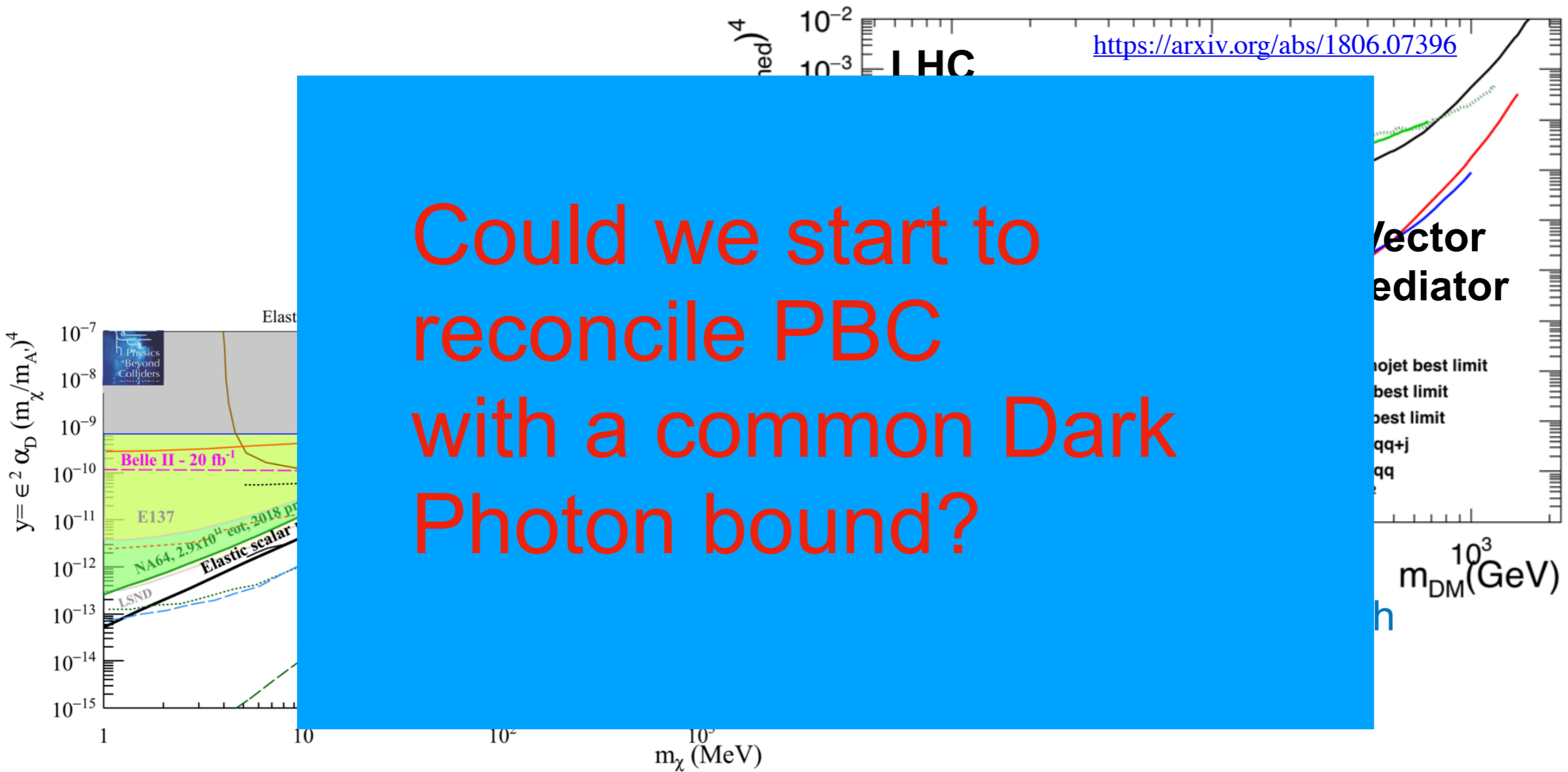
If we did a displaced search using inelastic DM model

Weakly Coupled

Light Dark Matter



An Attempt to reconcile One Plot



Could we start to reconcile PBC with a common Dark Photon bound?

Light Dark Matter

Weakly Coupled

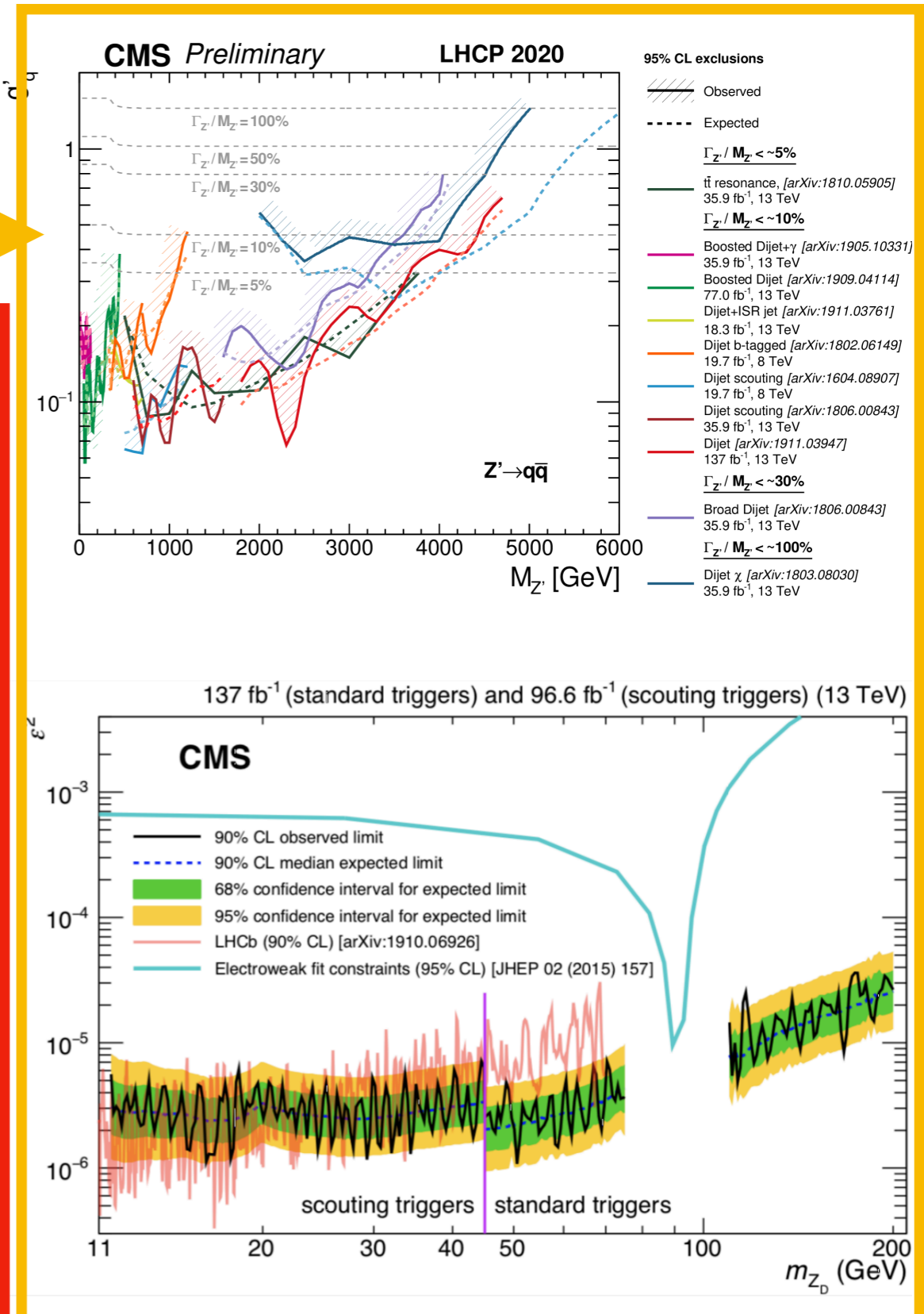
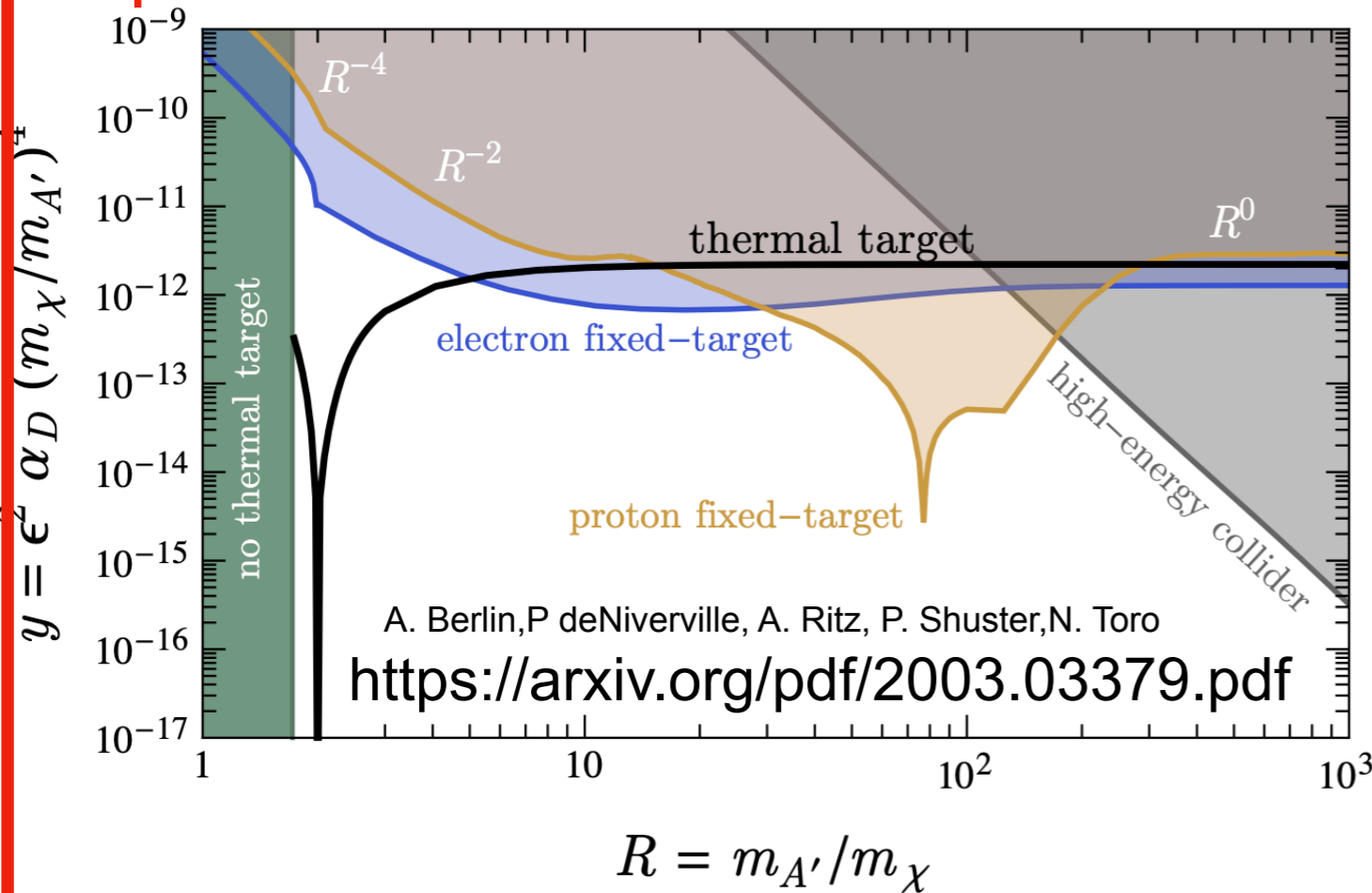


Other Points to keep in mind

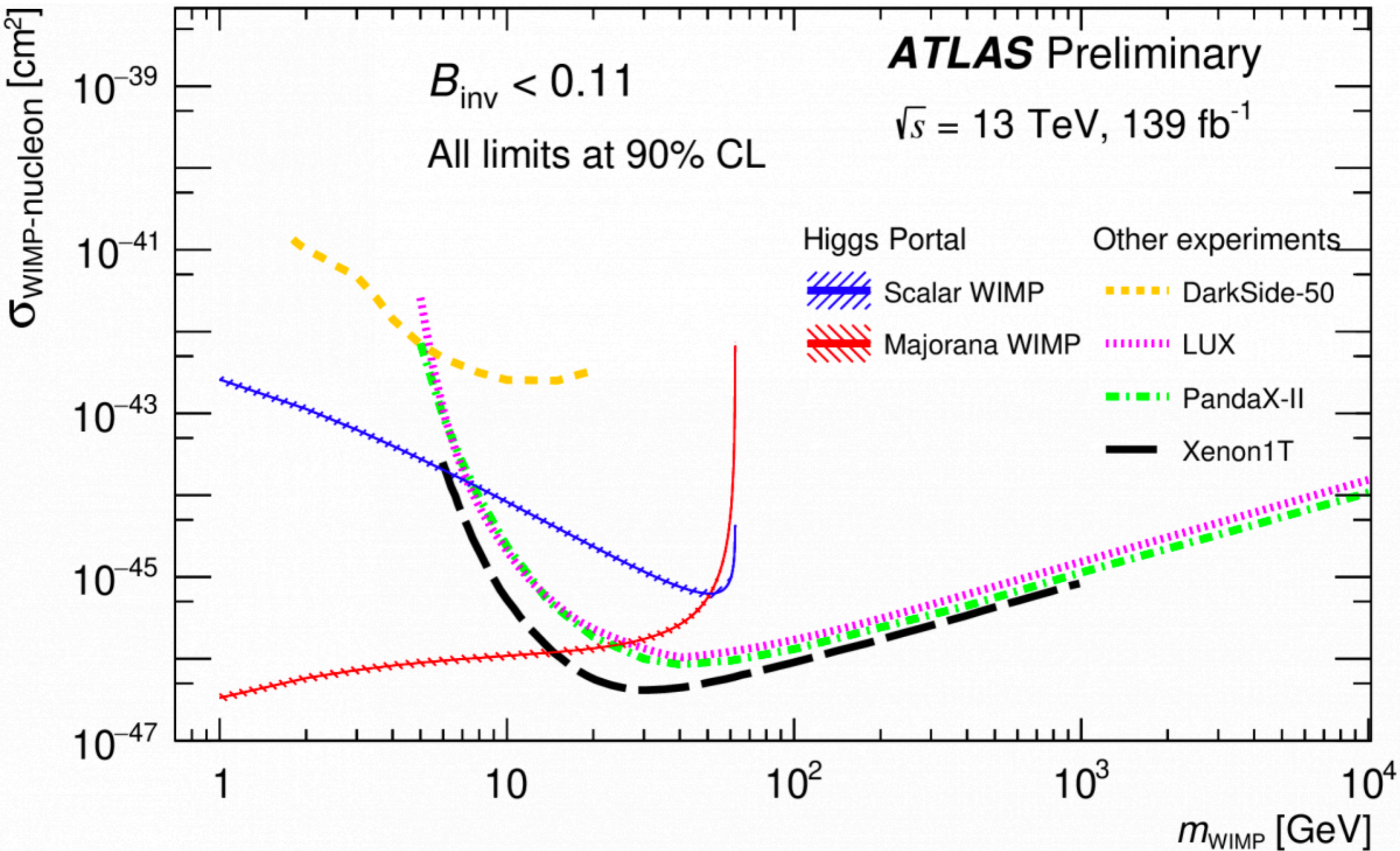
Visible Results for Quark and Lepton final states can be added into the mix



There are other ways to present LHC results on the same plot w/light DM experiments

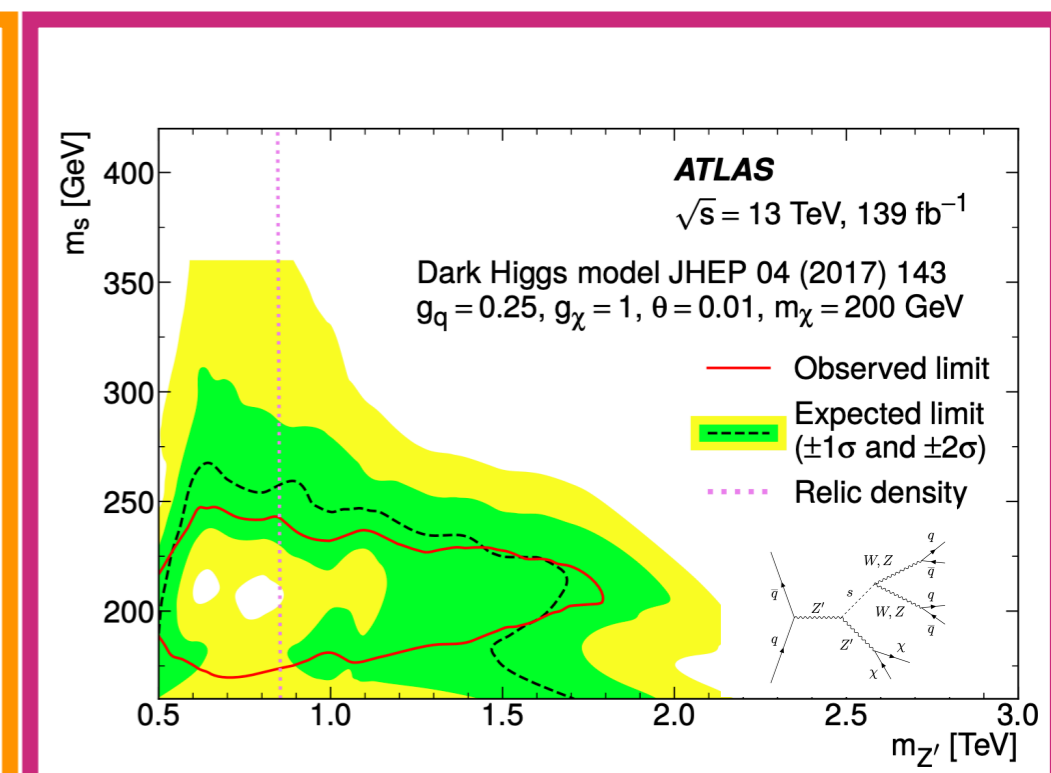
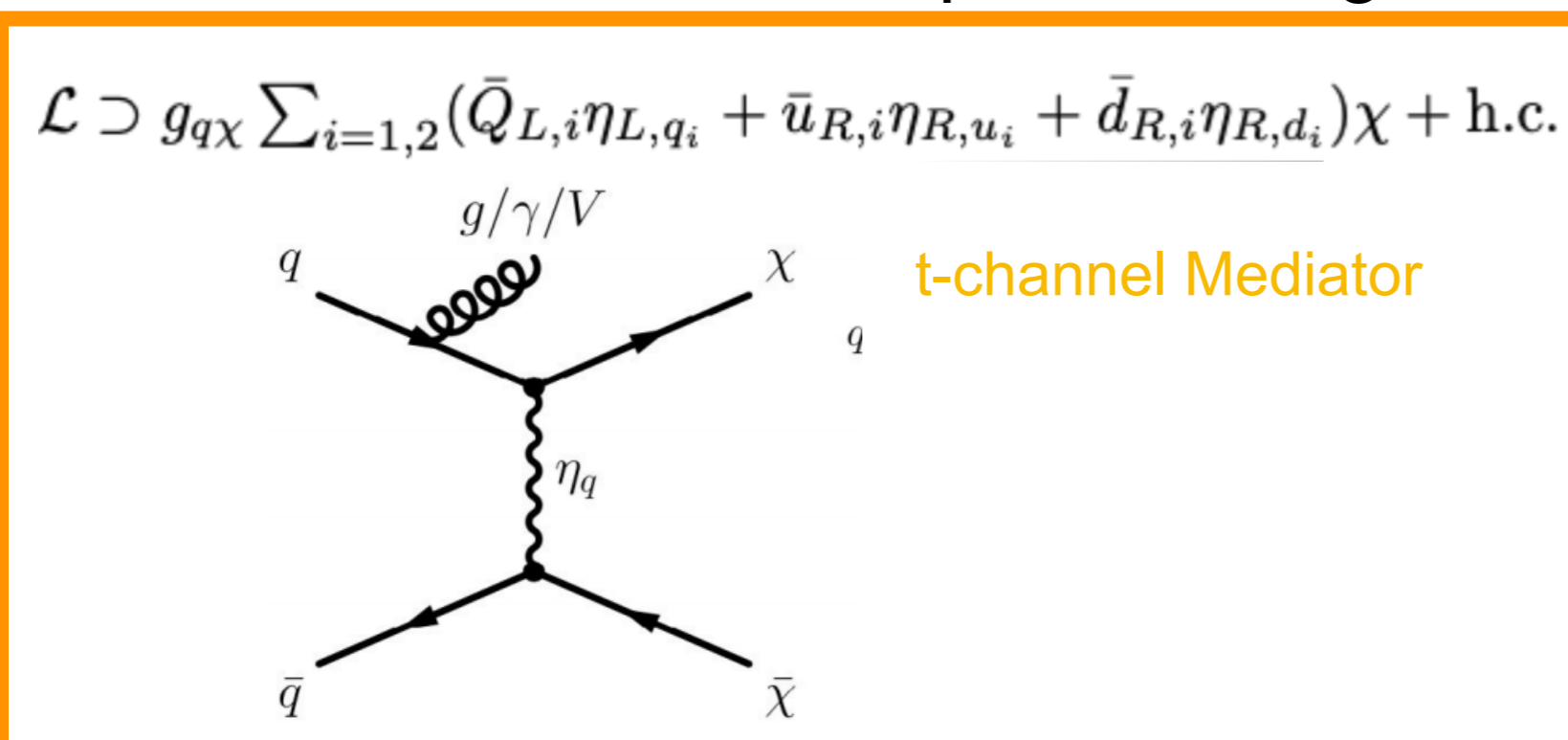


Higgs To Invisible



Future DMWG Work

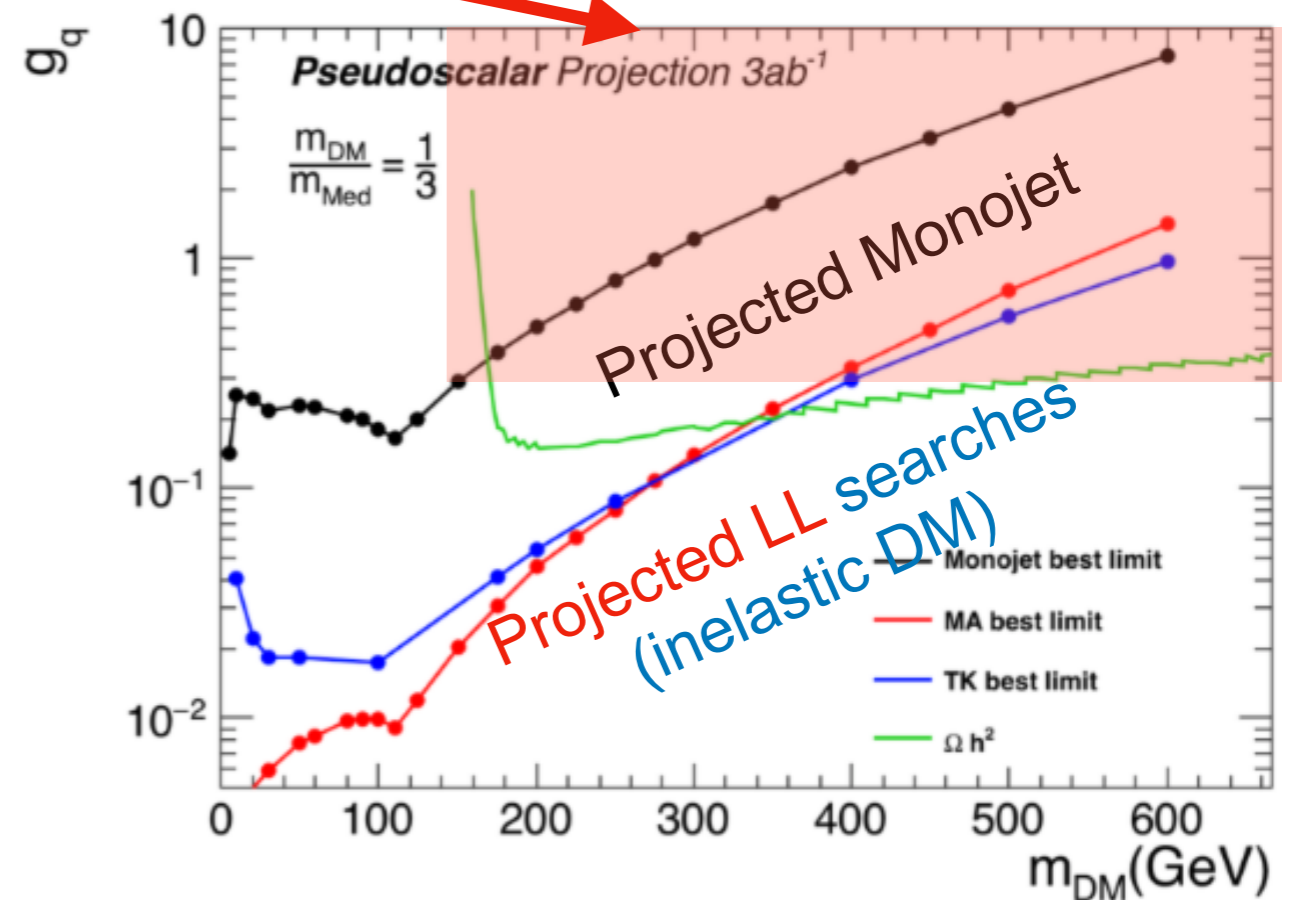
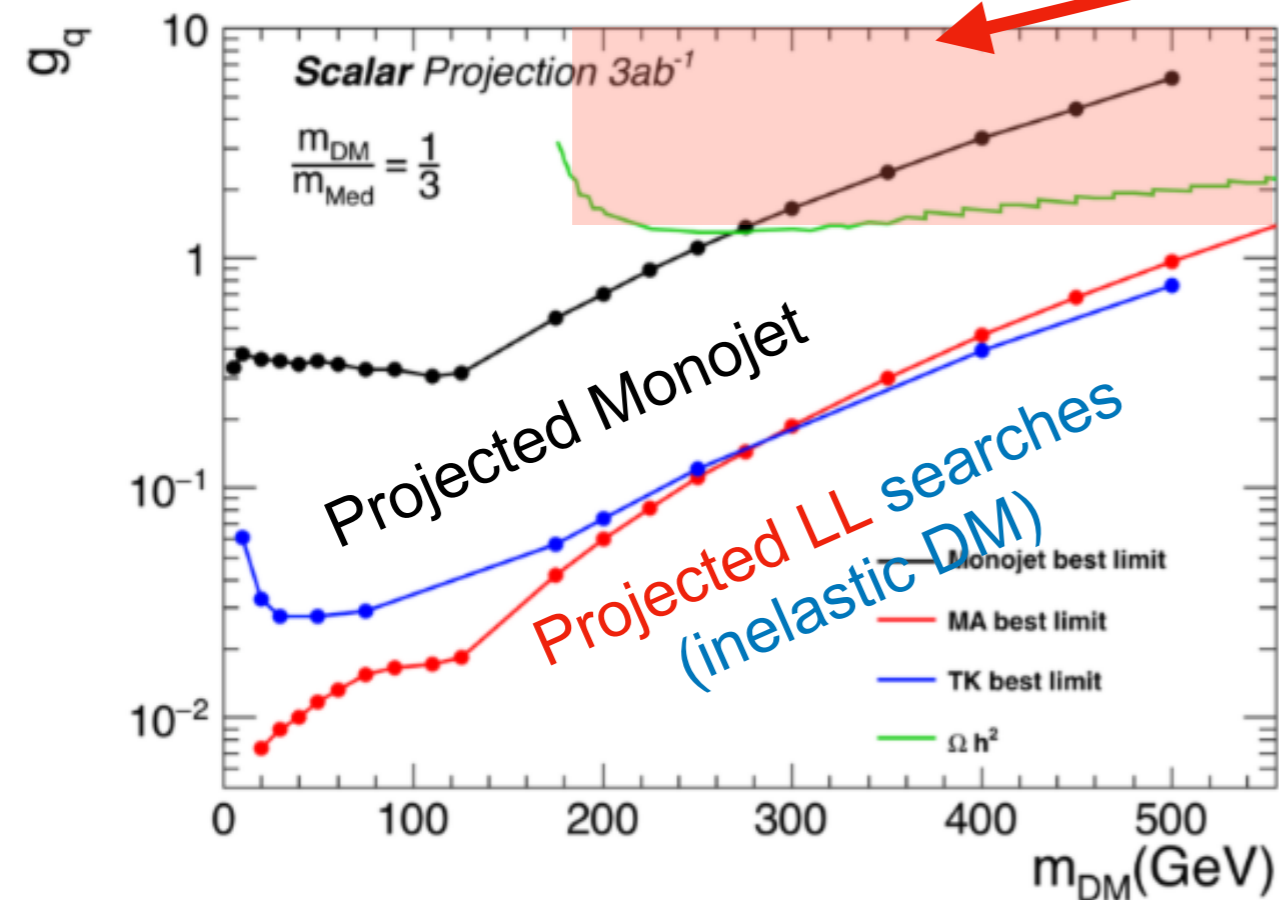
- Currently actively pursuing t-channel interpretation
 - Both ATLAS/CMS release t-channel interpretations
 - Aiming to centralize the presentation
- Recently, a number of dark Higgs analyses have emerged
 - This could be a topic of future work
- Number of other options: Long lived/Neutrino Portal....



Scalar/Pseudoscalar

- Heavy (pseudo)scalar models contend w/ relic bounds
 - Addition of Higgs to invisible also complicates this
 - Its **very hard to have a scalar/ALP without heavier objects**
 - Typically need a 2HDM or Higgs Mixing

Region that would not overclose DM



Floating the couplings⁵⁰

- Floating the couplings gives us a new set of bounds
 - In practice varying couplings doesn't change bounds
 - However to make direct detection bounds coupling fixed
 - Monojet and dijet can probe couplings below $g_q = 0.1$

Float

$$\sigma_{\text{SI}} = \frac{f^2(g_q) g_{\text{DM}}^2 \mu_{n\chi}^2}{\pi M_{\text{med}}^4} \quad \text{Fix}$$

Fixing the Dark Matter Mass

