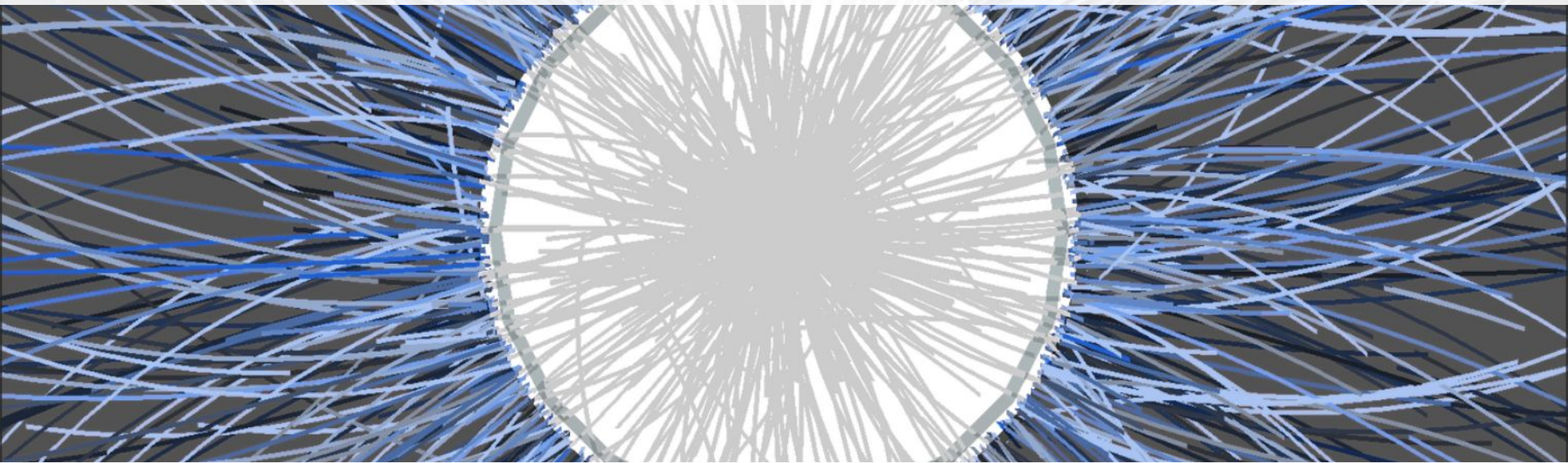


Beyond the average: higher moments of the (anti)deuteron multiplicity distribution with ALICE



ALICE

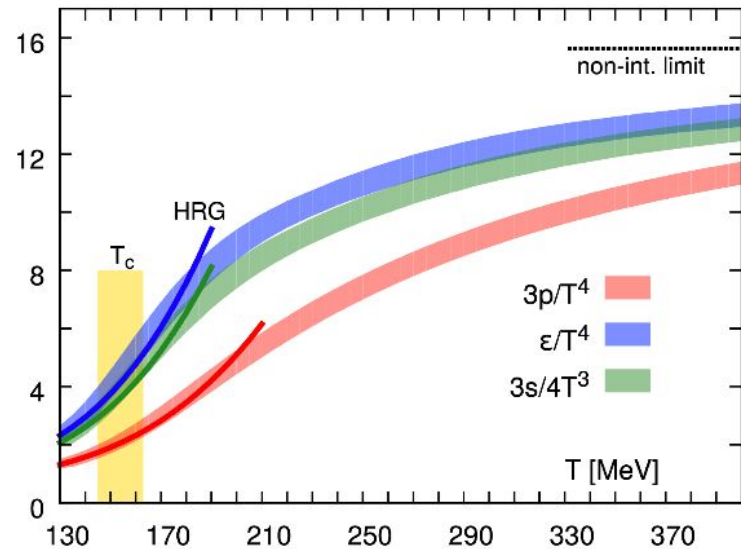
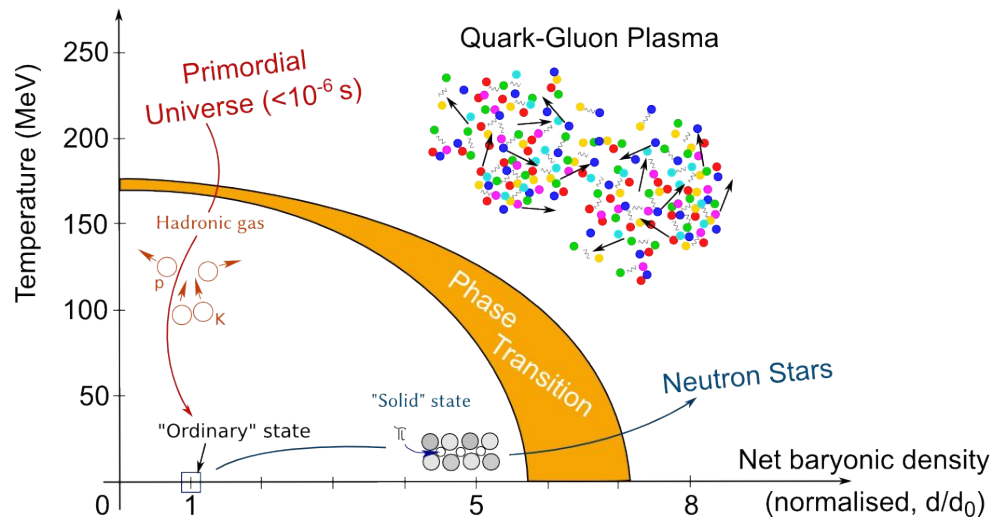


Sourav Kundu
(for the ALICE Collaboration)

EP-LHC seminar: 02/08/2022
CERN

- Introduction to light nuclei production models
- Result
 - Deuteron production yields
 - First measurements of event-by-event antideuteron fluctuations in heavy-ion collisions

(based on new ALICE measurements: [arXiv:2204.10166](https://arxiv.org/abs/2204.10166))
- Future perspectives and summary



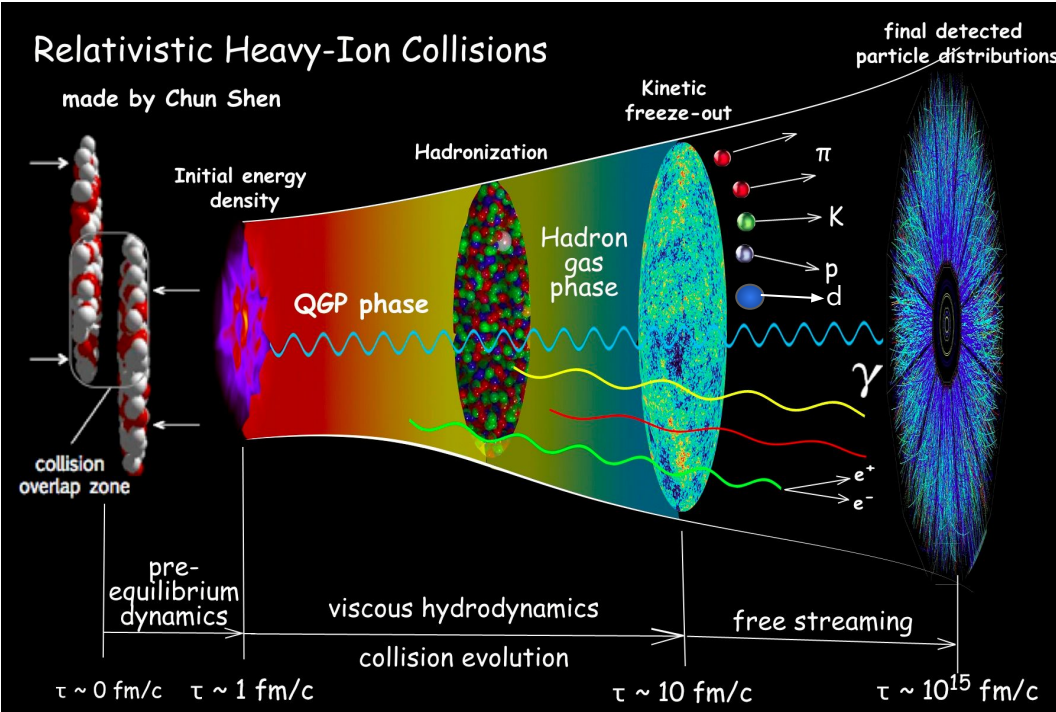
<https://cds.cern.ch/record/2025215>

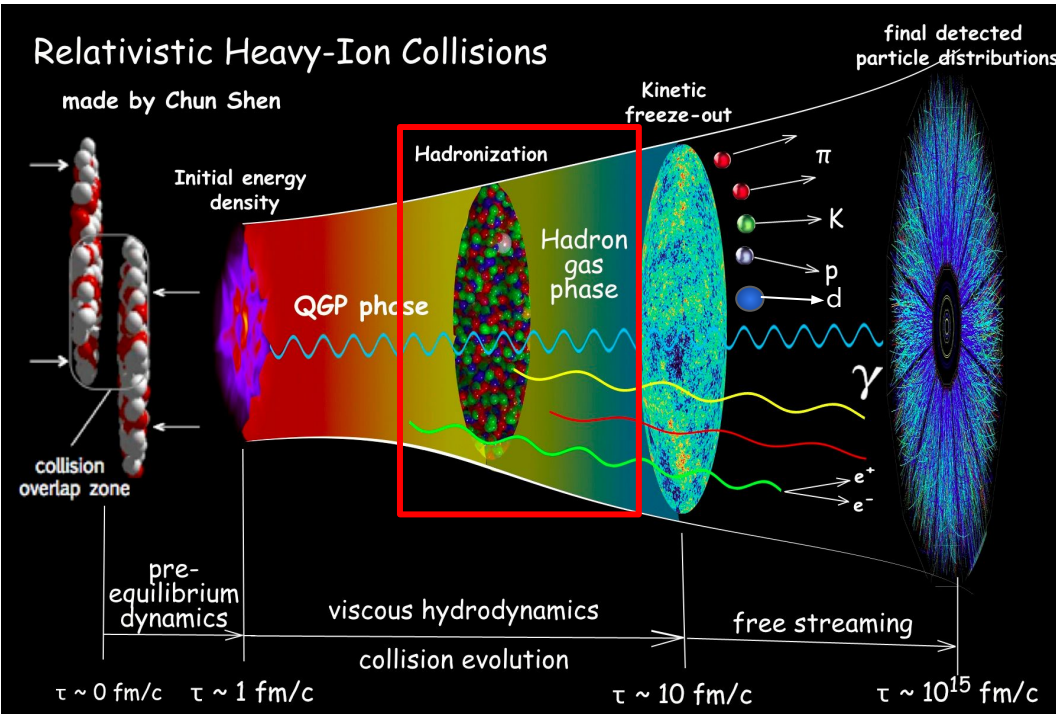
A. Bazavov et al. (HotQCD Collaboration) Phys. Rev. D 90 (2014) 094503

- One of the goals is to characterize the phase diagram of QCD matter
- Quark–gluon plasma: deconfined phase of quarks and gluons
- Phase transition at LHC (low baryonic density region)
 - smooth crossover: similar to early universe (\sim few μ s after the Big Bang)

Relativistic Heavy-Ion Collisions

made by Chun Shen





- Hadronization process not well understood
 - in-vacuum fragmentation does not describe the hadronization in such high-partonic density environment
 - phenomenological models are used

- Hadron yields at chemical freeze-out (hadron abundances are fixed) calculated using the Grand Canonical partition function:

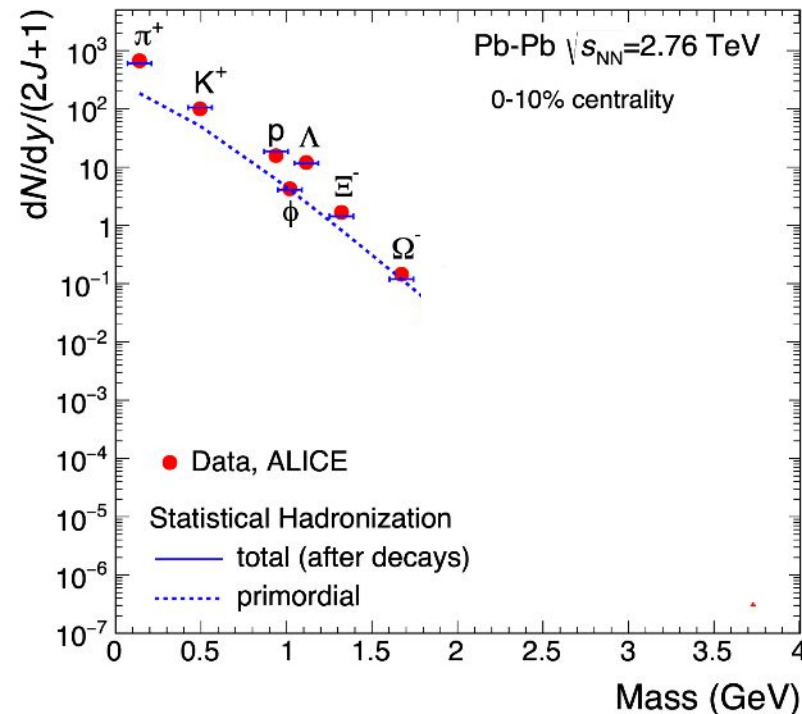
$$n_i = -\frac{T}{V} \frac{\partial \ln(Z_i)}{\partial \mu} = \frac{g_i}{2\pi^2} \int_0^\infty \frac{dp p^2}{\exp[(E_i - \mu_i)/T] \pm 1}$$

- Assumptions:
 - Thermal equilibrium
 - Point-like hadrons
 - Conservation laws applied on average
- Primordial yields + feed-down from high-mass states
- Model parameters: T_{chem} , μ_B and V

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- Model parameters: T_{chem} , μ_B and V
- $T_{\text{chem}} = 156.5 \pm 1.5 \text{ MeV} \rightarrow T_{\text{chem}} \approx T_{\text{pc}}$
- Chemical freeze-out close to phase boundary

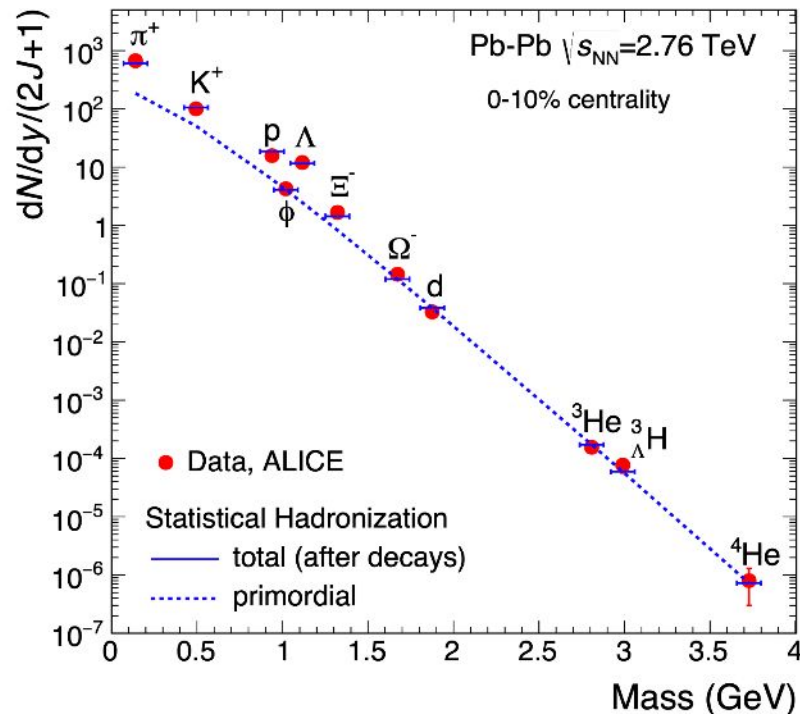


A. Andronic et al., *Nature* vol. 561, (2018) 321
 HotQCD Collaboration, *Phys. Lett. B* 795 (2019) 15

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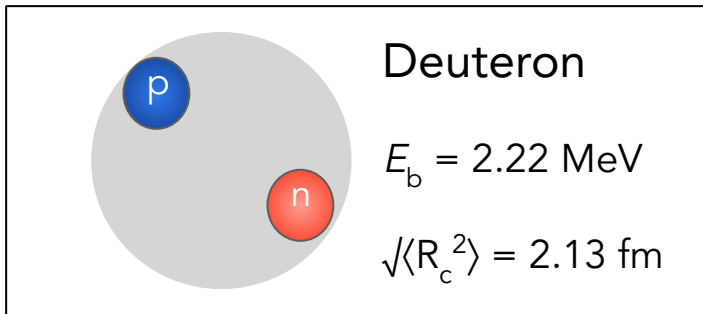


A. Andronic et al., *Nature* vol. 561, (2018) 321
HotQCD Collaboration, *Phys. Lett. B* 795 (2019) 15

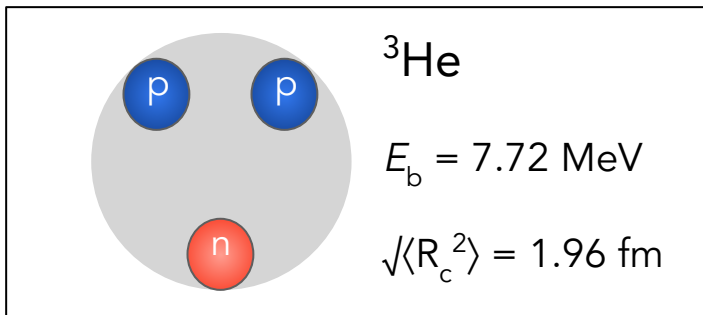
Sourav Kundu, CERN

Agreement with the nuclei yields is surprising!

Hadronization for light nuclei is not well understood



P. J. Mohr et al., Rev. Mod. Phys. 88 (2016) 035009



Nucl. Data Sheets 130, 1 (2015)

- Pseudocritical temperature (T_{pc}) is the average temperature at which phase transition occurs
- It is calculated from lattice QCD at vanishing baryo-chemical potential μ_B (matter = antimatter):

$$T_{pc} = 156.5 \pm 1.5 \text{ MeV}$$

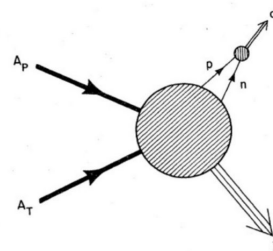
HotQCD Collaboration, Phys. Lett. B 795 (2019) 15
S. Borsanyi et al., Phys. Rev. Lett. 125 (2020) 052001

Are such loosely-bound states also produced at the phase transition with $T_{pc} \approx 156 \text{ MeV}$?

- Bound states produced at phase boundary are destroyed by interactions in the hadron gas phase
- Nuclear clusters are formed at kinetic freeze-out by coalescence of nucleons (hyperons) if nucleons are close in phase space
- Simple Coalescence model: only momentum correlations are considered: $\Delta p_{ij} = 0$

$$E_A \frac{d^3 N_A}{dp_A^3} = B_A \left(E_{p,n} \frac{d^3 N_{p,n}}{dp_{p,n}^3} \right)^A \Big|_{\vec{p}_p = \vec{p}_n = \frac{\vec{p}_A}{A}}$$

Invariant yield of nuclei Coalescence parameter Invariant yield of nucleon

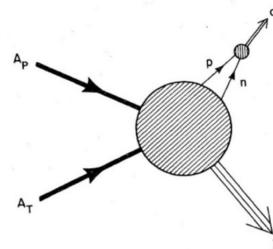


J. Kapusta, Phys. Rev. C 21 (1980) 1301

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Invariant yield of nuclei
Coalescence parameter
Invariant yield of nucleon



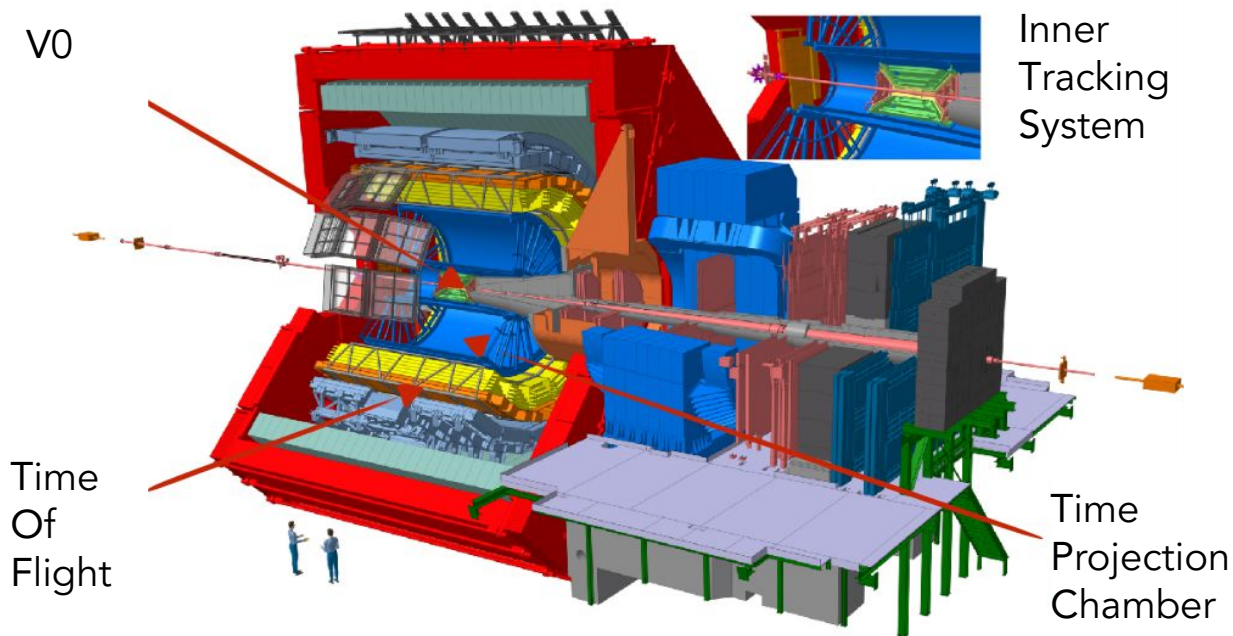
J. Kapusta, Phys. Rev. C 21 (1980) 1301

- Advanced Coalescence model: include source size R and finite size r_d of the cluster, and kinetic freeze-out temperature T_k

$$B = \frac{3}{4(mT_K R^2)^{3/2}} \frac{1}{\left(1 + \frac{1}{mT_K \sigma^2}\right)^{3/2}} \frac{1}{\left(1 + \frac{\sigma^2}{4R^2}\right)^{3/2}}$$

$$\sigma = \sqrt{8/3} r_d$$

K.-J. Sun et al., Phys. Lett. B 792 (2019) 132



Inner Tracking System (ITS)

- Tracking, vertexing

Time Projection Chamber (TPC)

- Tracking and particle identification via dE/dx in the TPC gas mixture

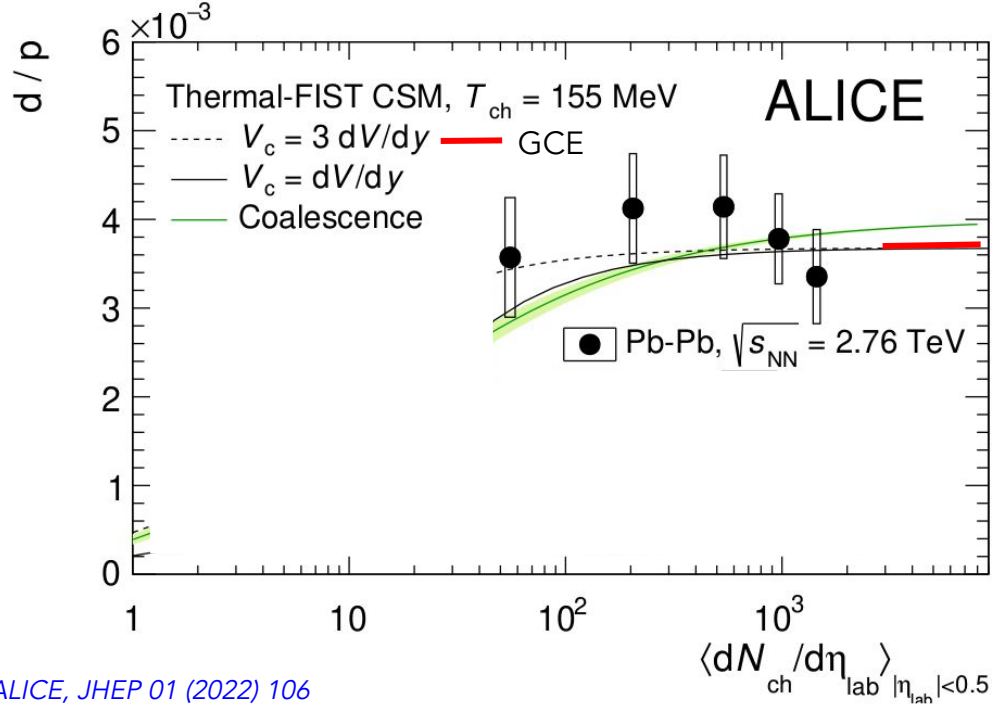
Time Of Flight (TOF)

- particle identification via velocity measurement

V0 Scintillators

- Trigger and centrality estimation

- Low material budget, excellent tracking and particle identification over broad momentum range: unique detector for nuclei measurements!

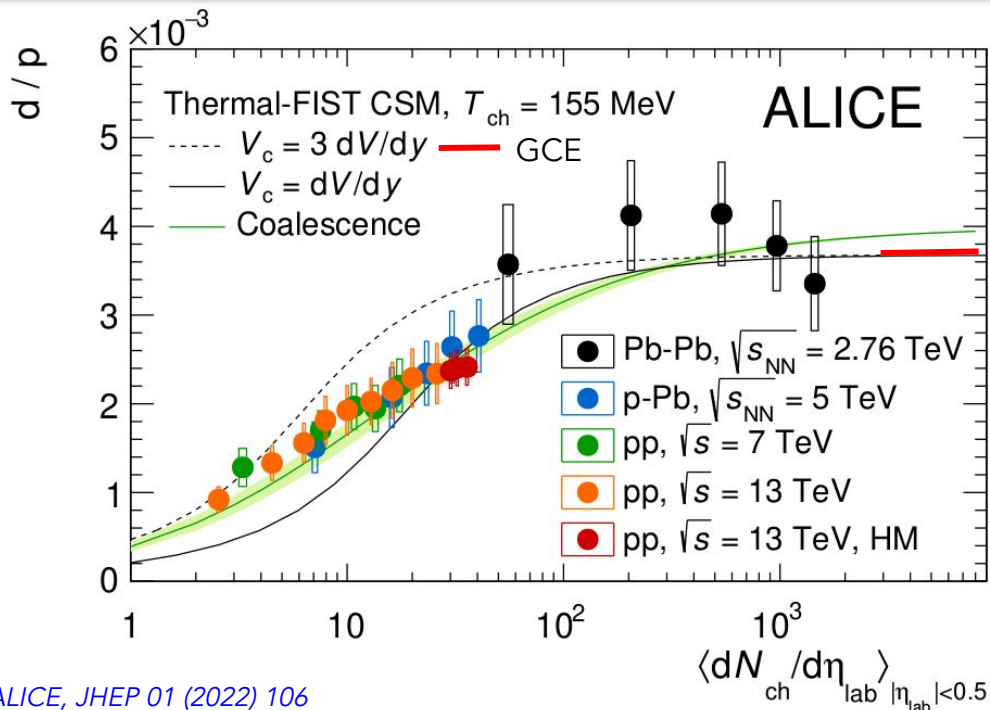


AA collisions:

- Produced system size larger than the size of deuteron
- d/p ratio vs, multiplicity \sim flat and reaches GCE limit
- Less discrimination power in AA collisions

ALICE, JHEP 01 (2022) 106

$V_c \rightarrow$ volume in which baryons are correlated due to baryon number conservation



ALICE, JHEP 01 (2022) 106

Both models give similar value of deuteron production yield across all the collision systems

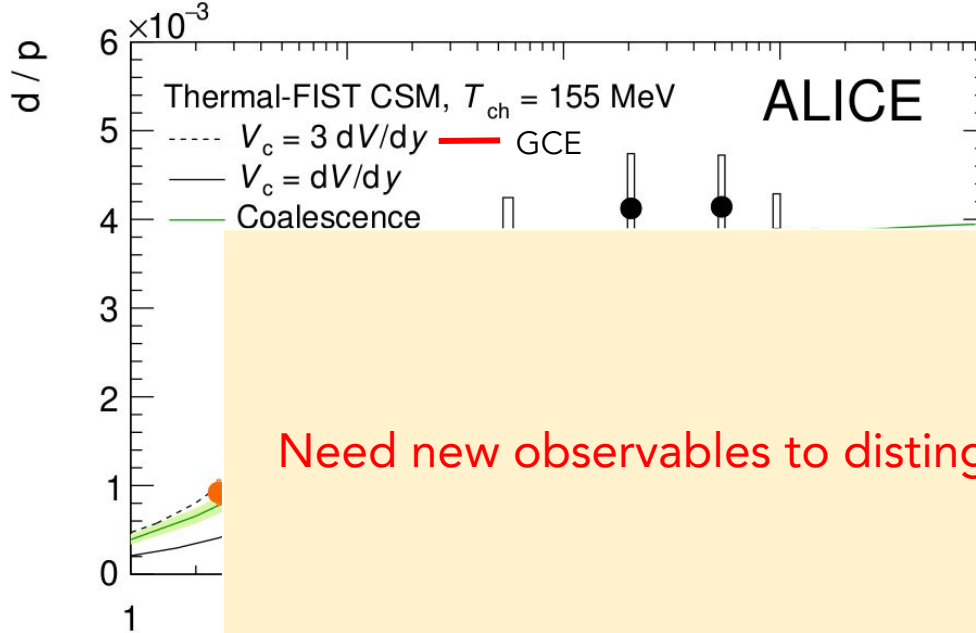
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AA collisions:

- Produced system size larger than the size of deuteron
- d/p ratio vs, multiplicity \sim flat and reaches GCE limit
- Less discrimination power in AA collisions

Small system:

- Produced system size comparable with the size of deuteron
- Smooth transition from pp to AA
 - single description for the nucleosynthesis?
- Suppression of d/p ratio at low multiplicity
 - Canonical Ensemble of SHM (CSM)
 - \rightarrow effect of baryon number conservation
 - Coalescence model
 - \rightarrow finite size effect of deuteron



AA collisions:

- Produced system size larger than the size of deuteron
- d/p ratio vs, multiplicity ~ flat and reaches GCE limit

Need new observables to distinguish the nucleosynthesis model

ALICE, JHEP 01 (2022) 100

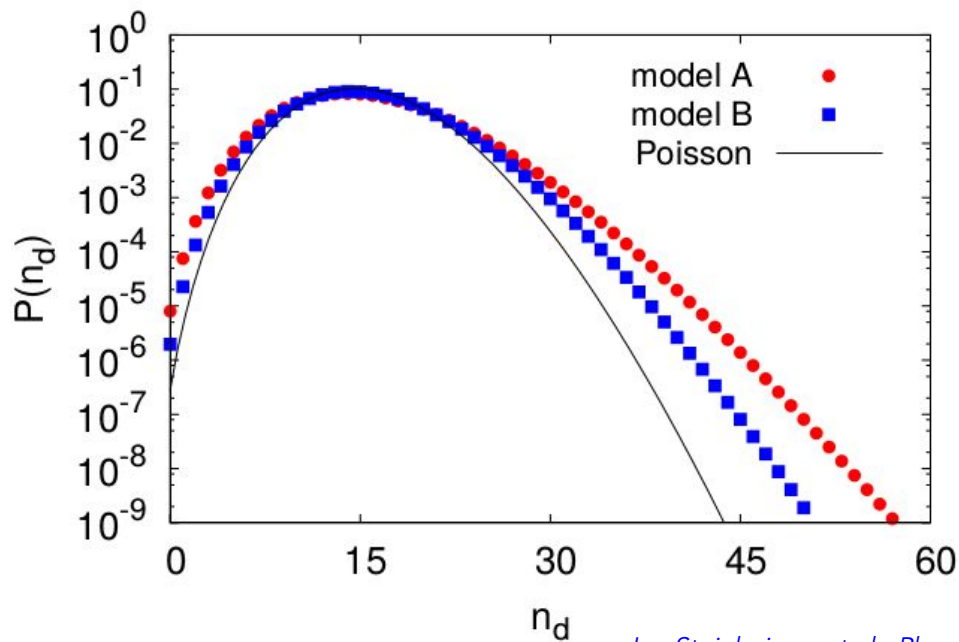
Both model give similar value of deuteron production yield across all the collision systems

- Coalescence model → finite size effect of deuteron

V_c → volume in which baryons are correlated due to baryon number conservation

Event-by-event deuteron distribution:

- GCE of Thermal model: Poisson
- Coalescence model: convolution of two Poisson distribution \rightarrow deviation from Poisson



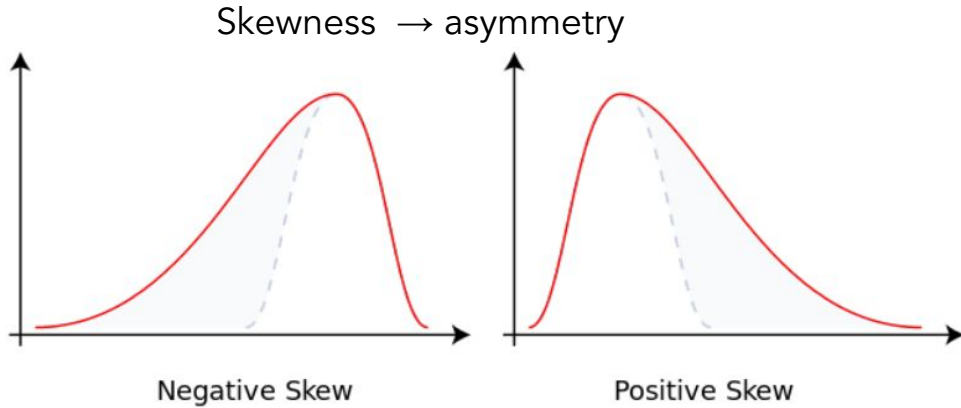
Initial conditions in coalescence model:

- **Model A:** nucleons are correlated
- **Model B:** nucleons fluctuate independently

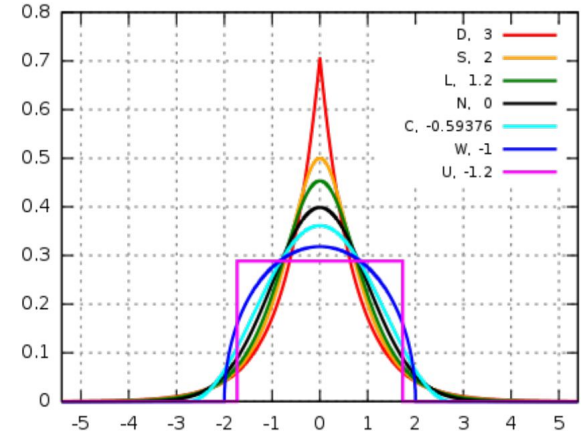
Model parameters:

- Coalescence parameter B
- Average initial proton or neutron number

- Moments and cumulants are mathematical measures of “shape” of a distribution, which probes fluctuations of an observable.



Kurtosis → sharpness



Higher-order cumulants:

$$\kappa_1 = \langle n \rangle, \quad \kappa_2 = \langle (\delta n)^2 \rangle \quad \delta n = n - \langle n \rangle$$

$$\kappa_3 = \langle (\delta n)^3 \rangle, \quad \kappa_4 = \langle (\delta n)^4 \rangle - 3\langle (\delta n)^2 \rangle^2$$

Analysed observable:

$\kappa_2 / \kappa_1 \rightarrow 1$ for Poisson distribution

proton(p)-deuteron(d) correlation

$$\rho_{pd} = \langle (n_p - \langle n_p \rangle)(n_d - \langle n_d \rangle) \rangle / \sqrt{\langle n_p \rangle \langle n_d \rangle} \rightarrow 0 \text{ for GCE}$$

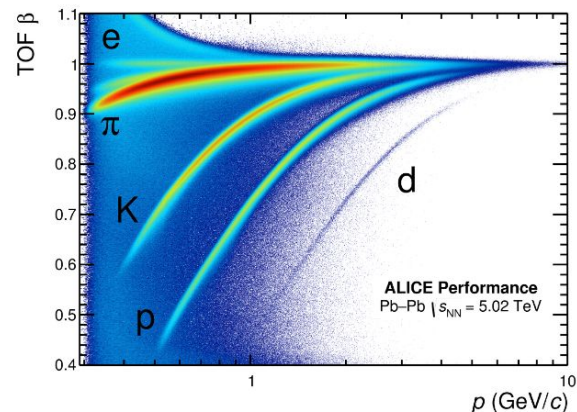
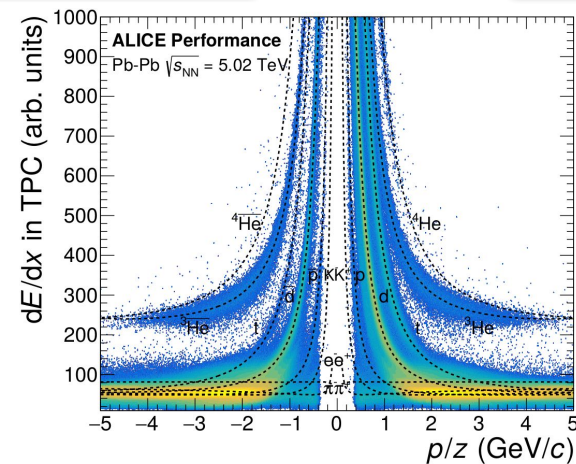
Choice of particle: Antiparticle instead of particle to avoid secondaries produced in detector material

Particle identification:

TPC: $0.8 < p_T < 1.0$ GeV/c (antideuteron)
 $0.4 < p_T < 0.6$ GeV/c (antiproton)

TPC+TOF: $1.0 < p_T < 1.8$ GeV/c (antideuteron)
 $0.6 < p_T < 0.9$ GeV/c (antiproton)

- Antideuteron purity > 90%, antiproton purity > 95%
- Autocorrelation due to misidentification of antiproton as antideuteron is negligible due to separate p_T acceptance



- Efficiency correction depends on the event-by-event efficiency distributions.
 - ~**binomial** distribution
- MC closure test is performed to validate the method

Binomial efficiency corrected cumulant:

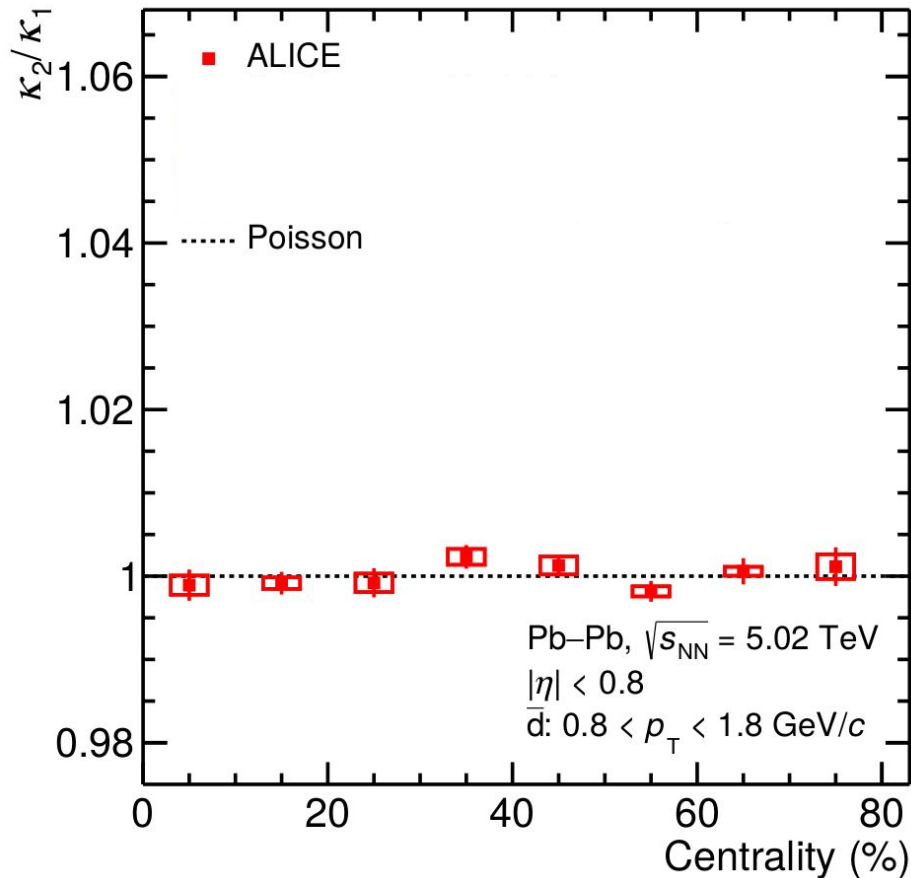
$$\kappa_2 = \langle q_1^2 \rangle - \langle q_1 \rangle^2 + \langle q_1 \rangle - \langle q_2 \rangle$$

$$\rho = (\langle q_1^d q_1^p \rangle - \langle q_1^d \rangle \langle q_1^p \rangle) / \sqrt{(\kappa_2^d \kappa_2^p)}$$

$$q_n = \sum_{i=1}^M (n_i / \varepsilon_i^n)$$

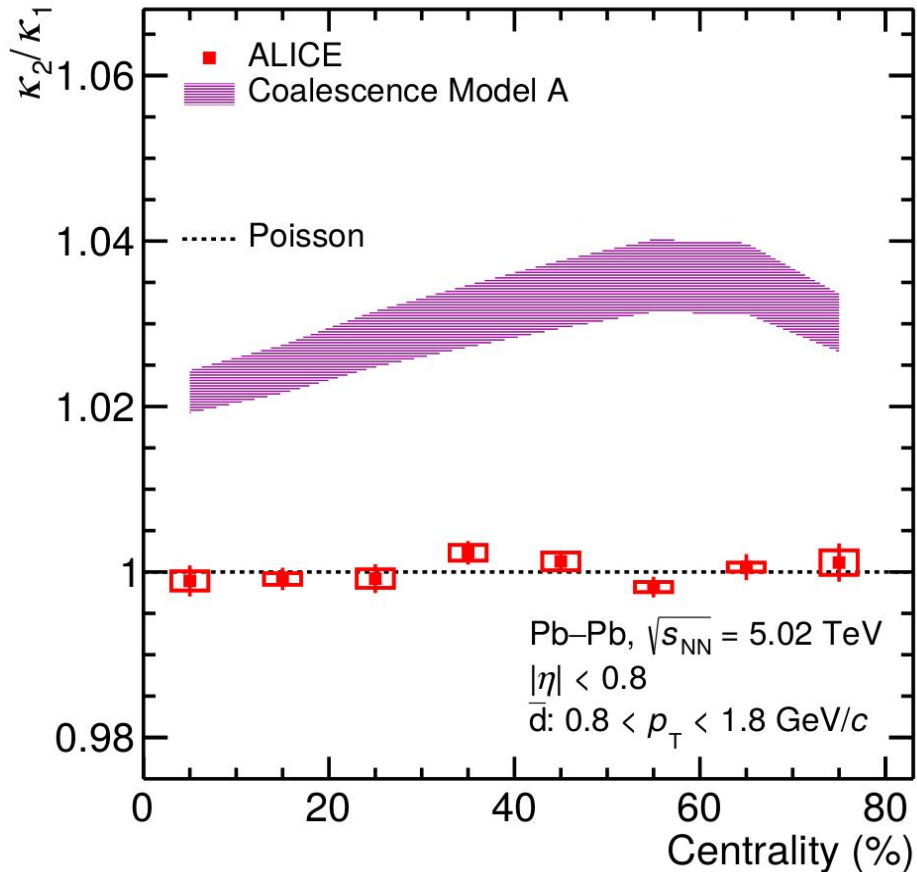
M = number of p_T bins
 ε = efficiency
 n_i = raw counts in i^{th} p_T bin

T. Nonaka et al., Phys. Rev. C 95, (2017) 064912

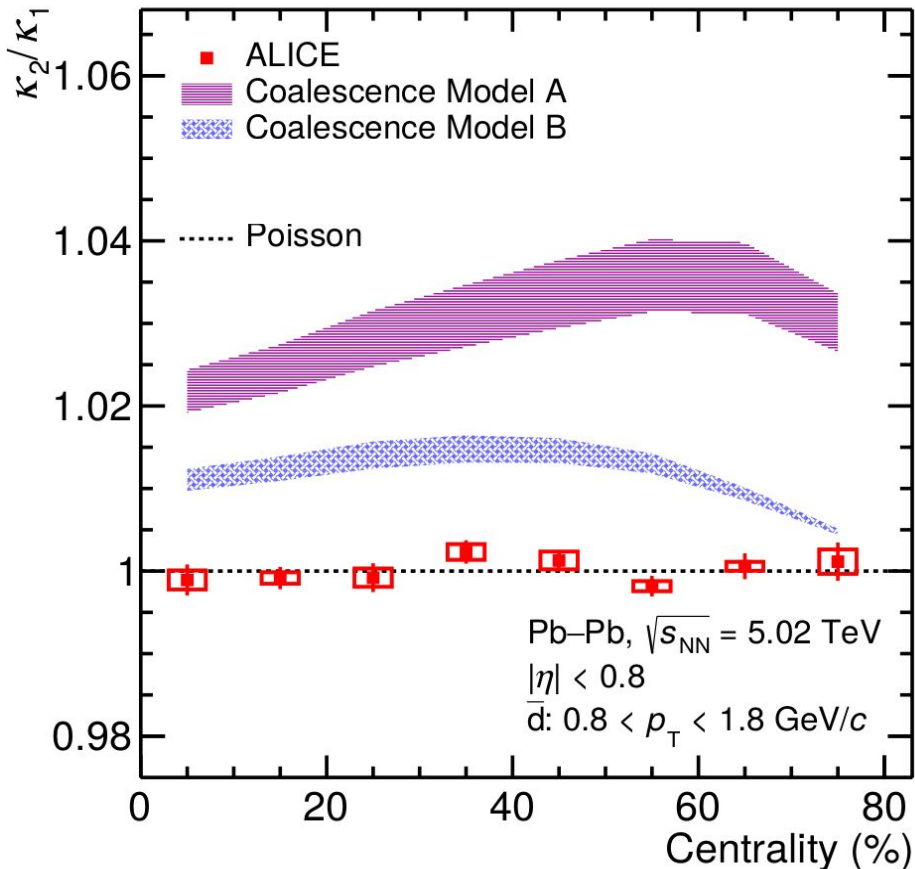


- Consistent with Poisson baseline

Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906
ALICE, [arXiv:2204.10166](https://arxiv.org/abs/2204.10166)

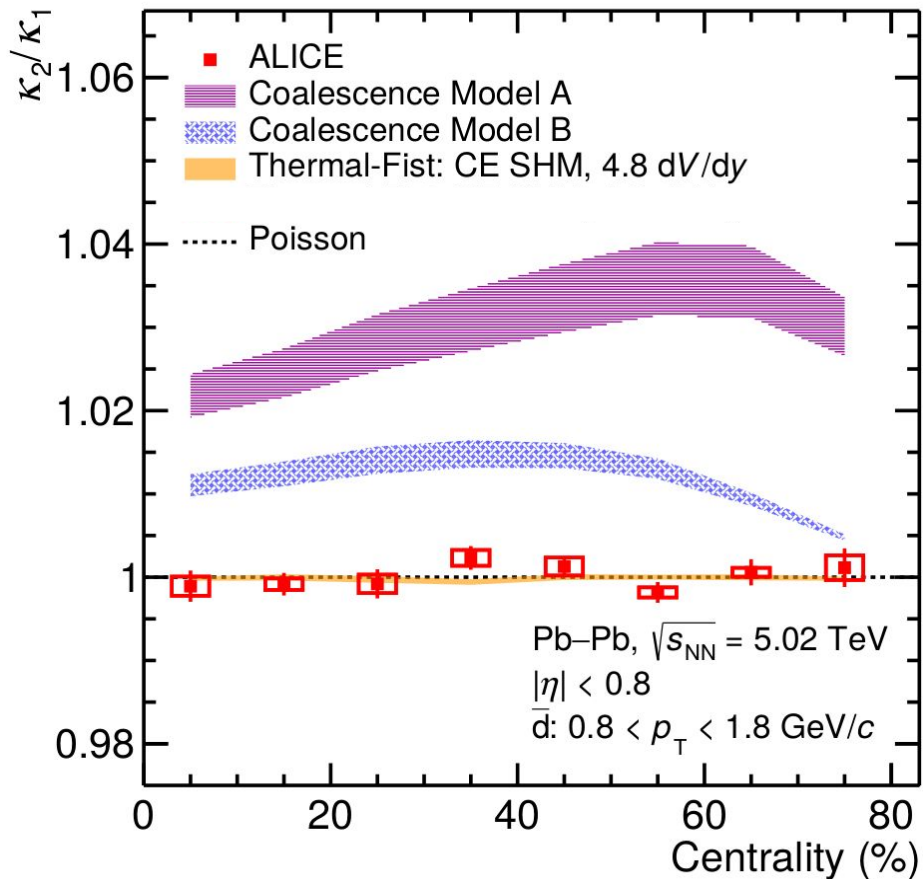


- Consistent with Poisson baseline
- Simple Coalescence Model A (correlated nucleon distribution) **over predicts** data



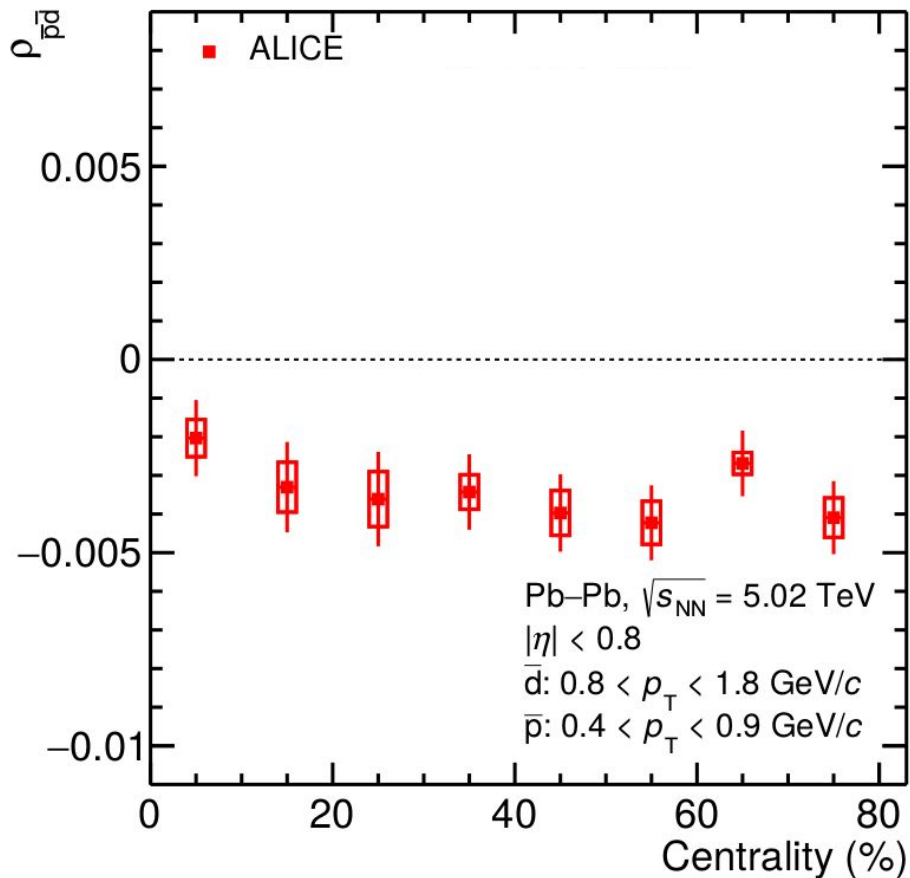
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Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906
ALICE, arXiv:2204.10166



- Consistent with Poisson baseline
- Simple Coalescence **Model A** (correlated nucleon distribution) **over predicts** data
- Simple Coalescence **Model B** (independent nucleon distribution) **over predicts** data
- **Canonical Ensemble (CE) SHM consistent** with data, no significant effect of baryon number conservation on K_2/K_1 ratio

Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906
ALICE, arXiv:2204.10166

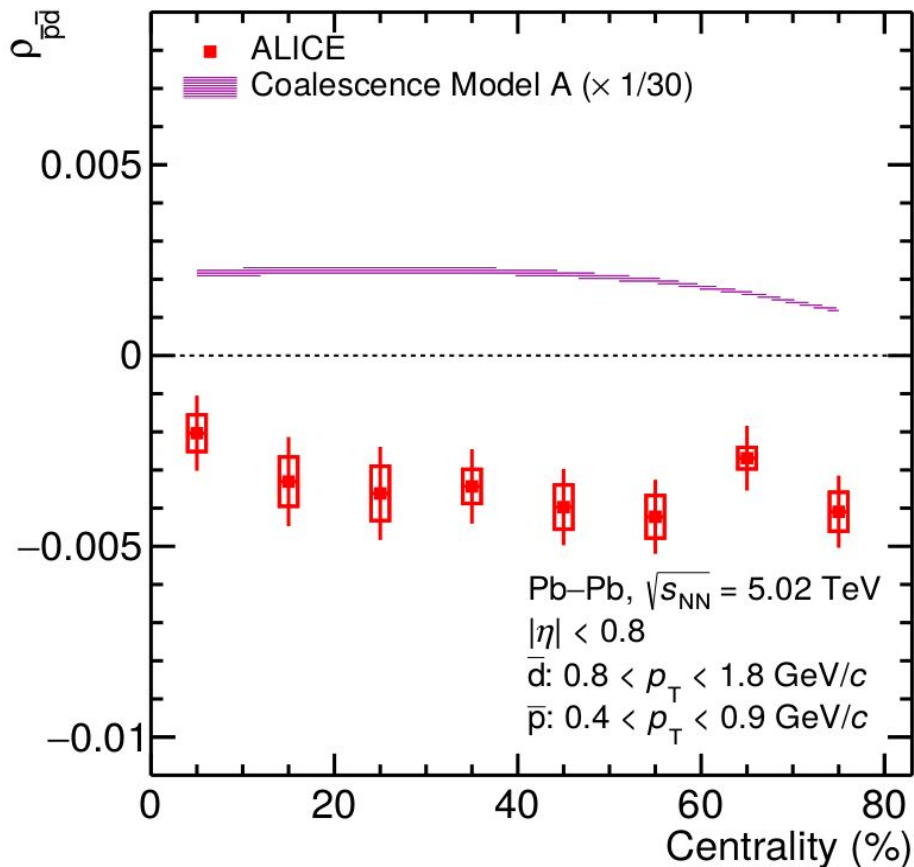


- Evidence of small negative correlation
– in events with at least one antideuteron, there are $O(0.1\%)$ less antiprotons than in an average event

$$\rho_{pd} = \langle (n_p - \langle n_p \rangle)(n_d - \langle n_d \rangle) \rangle / \sqrt{\langle n_p \rangle \langle n_d \rangle}$$

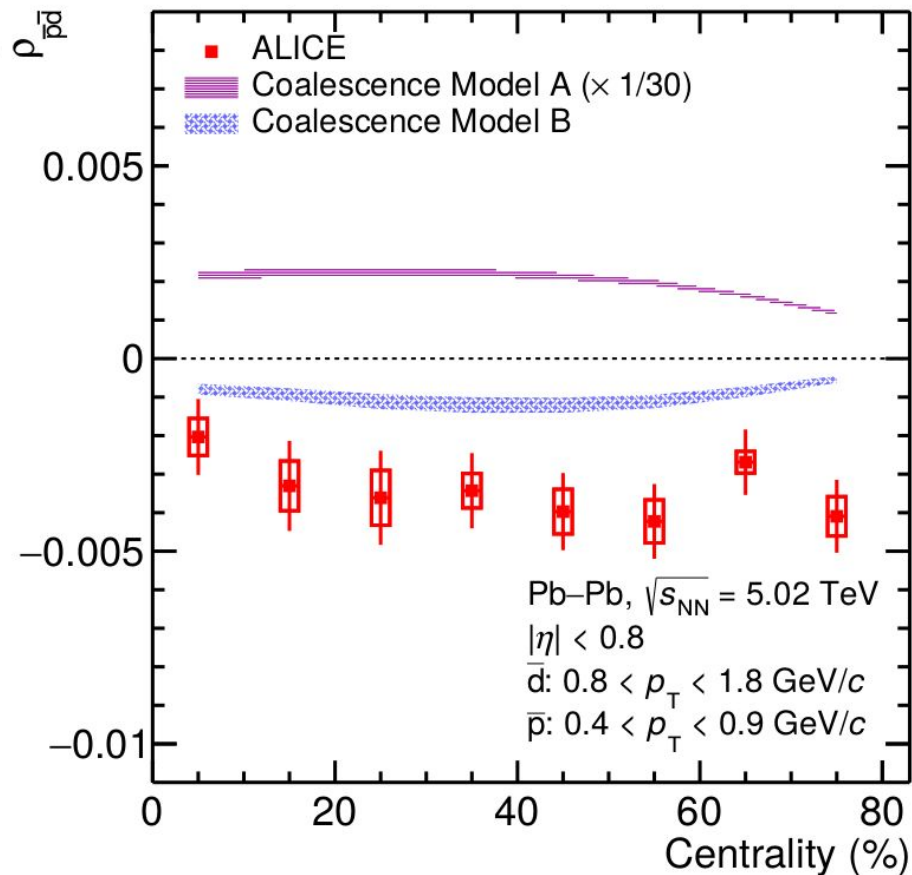
Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906

ALICE, [arXiv:2204.10166](https://arxiv.org/abs/2204.10166)



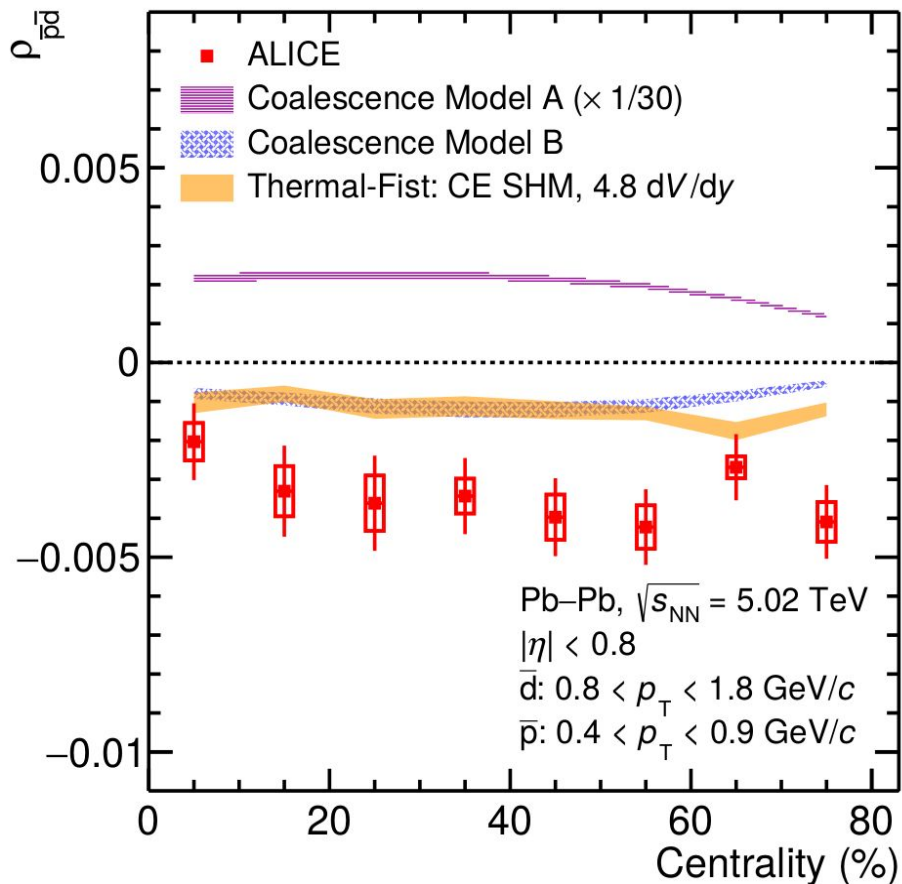
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Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906
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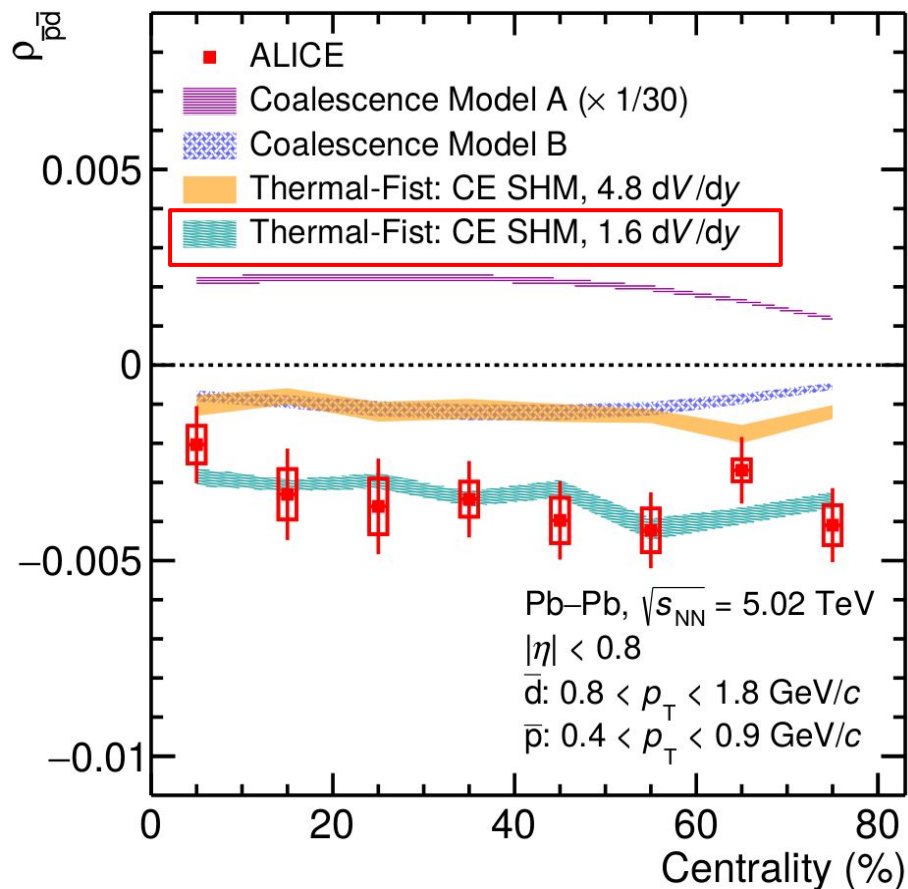
Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906
ALICE, arXiv:2204.10166



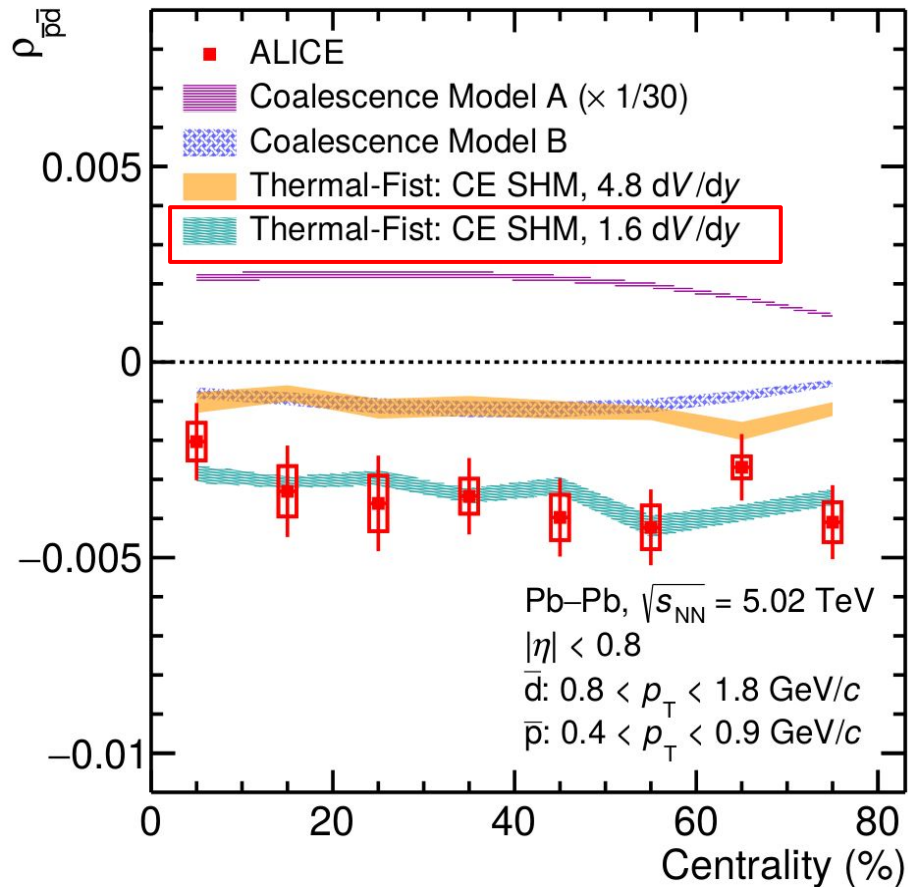
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- Qualitatively explained by **Coalescence model** with independent fluctuation of nucleons
- **Coalescence model B** \approx **CE SHM** with large correlation volume
- **None of model configurations quantitatively explain the data**

Jan Steinheimer et al., *Phys. Rev. C* 93, (2016) 054906

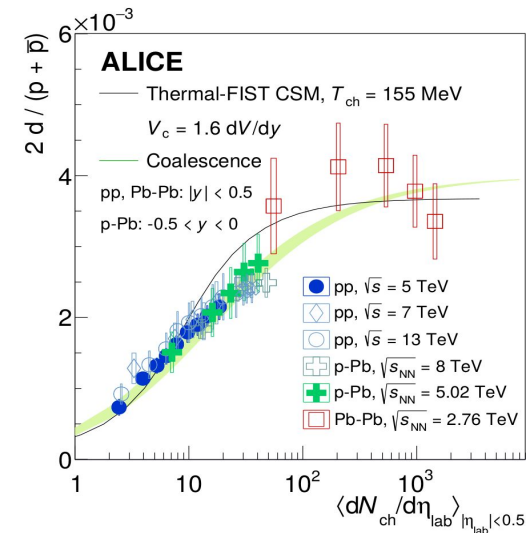
ALICE, arXiv:2204.10166



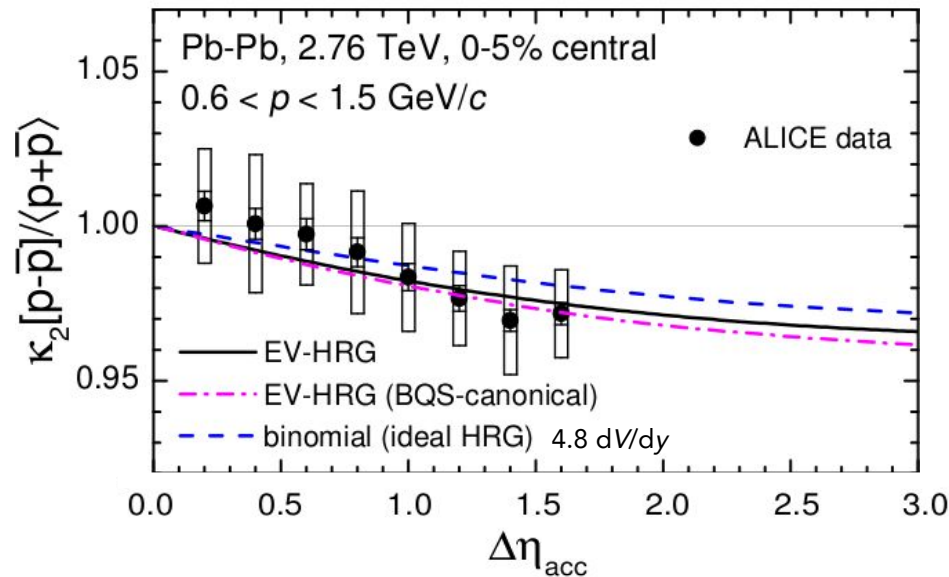
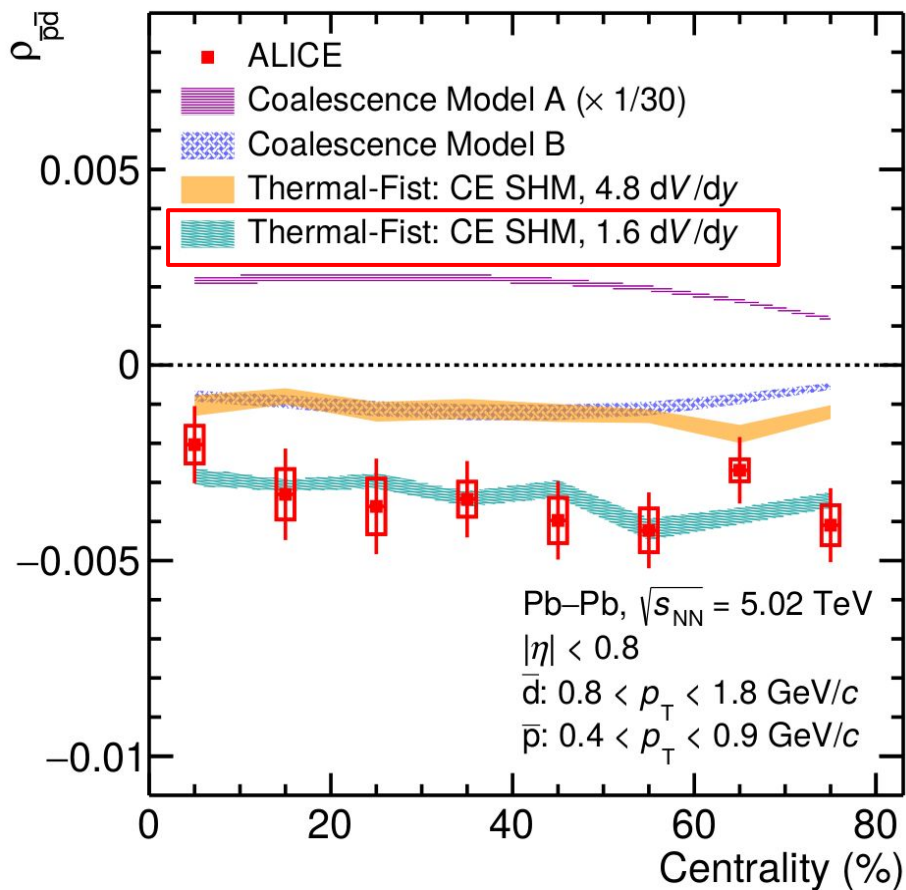
- χ^2 minimization is performed by varying the correlation volume in the SHM model
- Correlation volume of 1.6 ± 0.3 dV/dy best describes the data



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- Correlation volume of 1.6 ± 0.3 dV/dy best describes the data



A small correlation volume describes well deuteron production yield across all collision systems



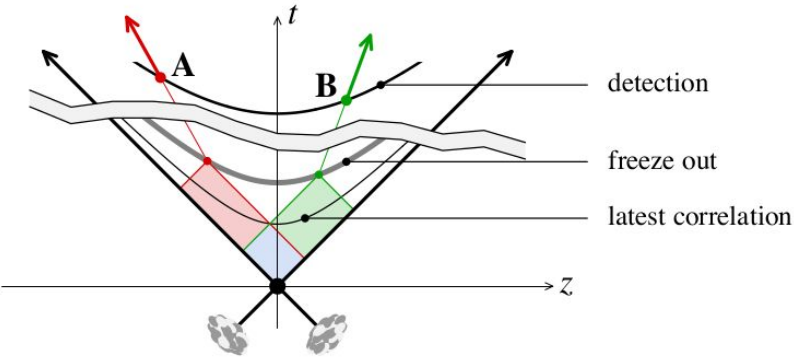
Smaller correlation length between antiproton and antideuteron compared to the correlation length between proton and antiproton

V. Vovchenko et al., Phys. Rev. C 103, (2021) 044903

ALICE, Phys. Lett. B 807 (2020) 135564

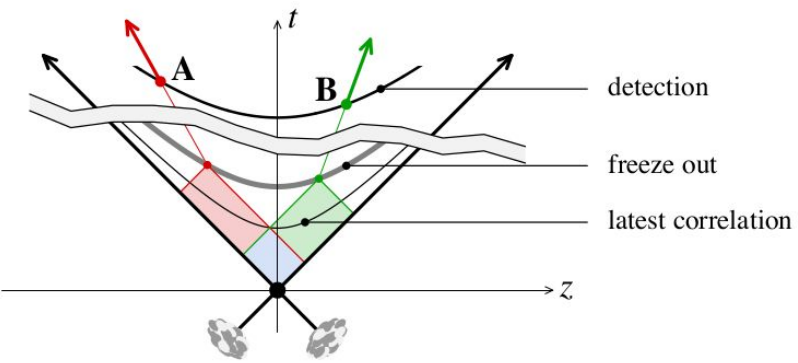
ALICE, arXiv:2204.10166

Sourav Kundu, CERN

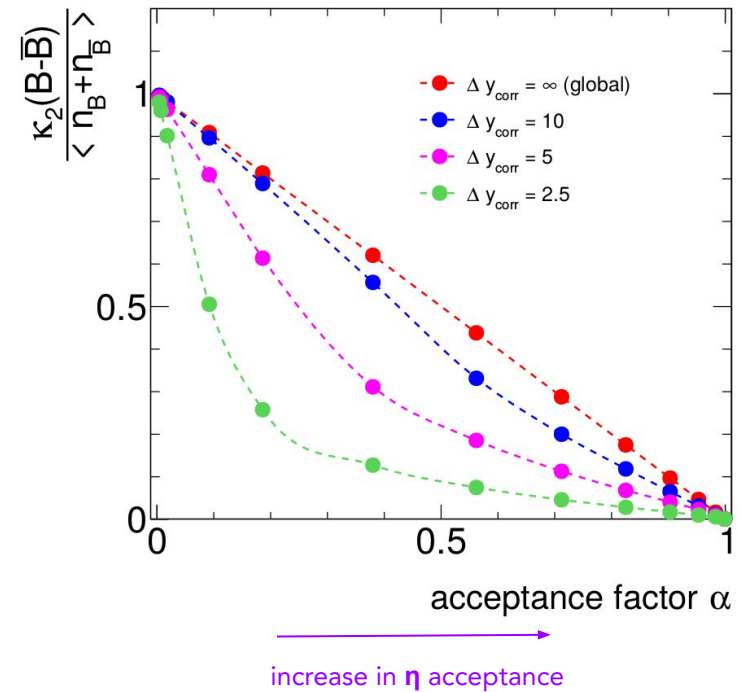


$$\tau \leq \tau_{\text{freeze out}} e^{-\frac{1}{2}|y_A - y_B|}$$

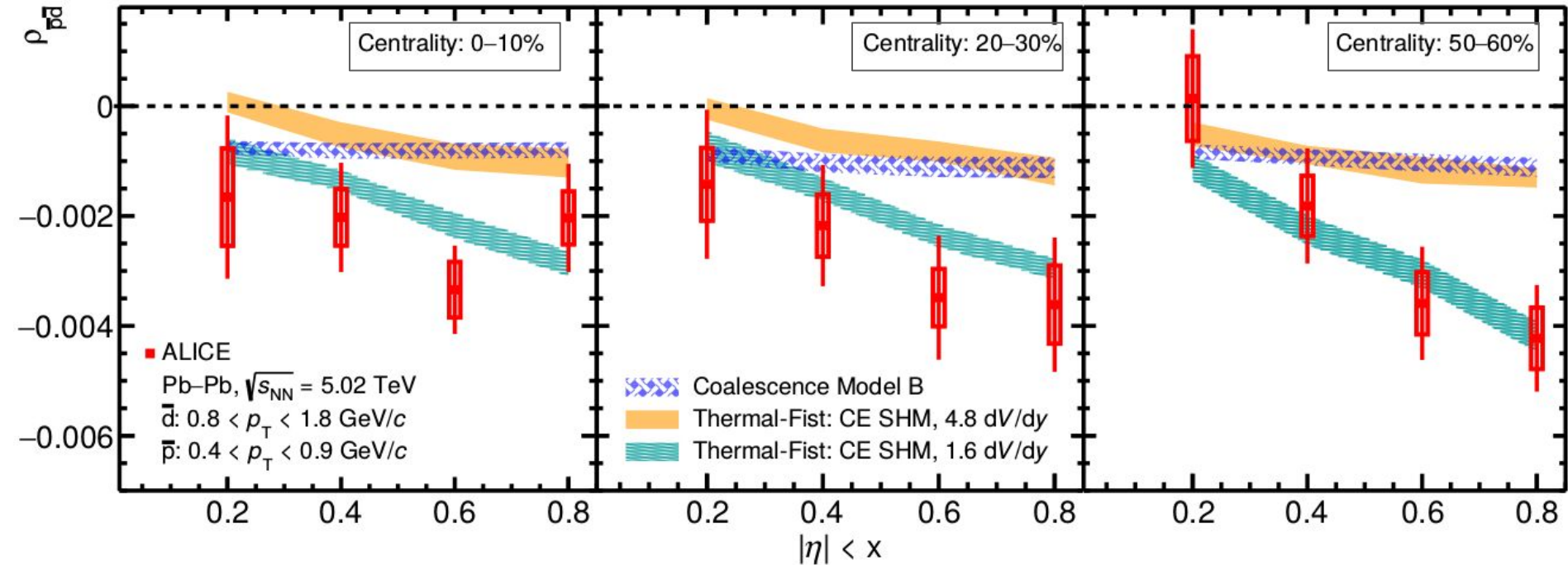
- Long range rapidity correlation \rightarrow originates at early time
- Short range rapidity correlation \rightarrow originates at later time



$$\tau \leq \tau_{\text{freeze out}} e^{-\frac{1}{2}|y_A - y_B|}$$

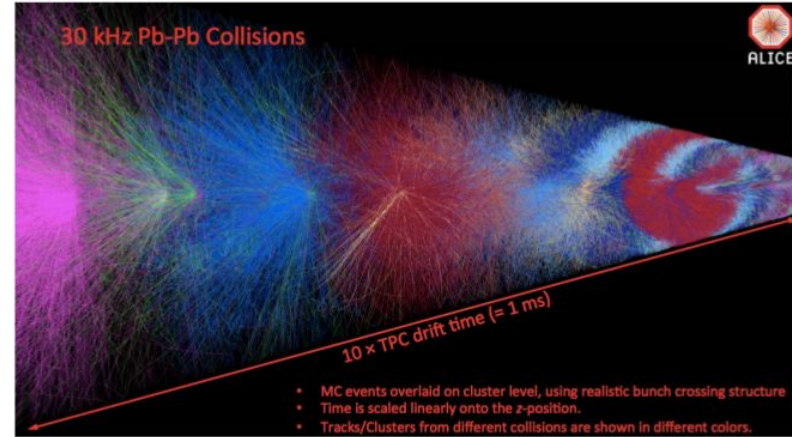
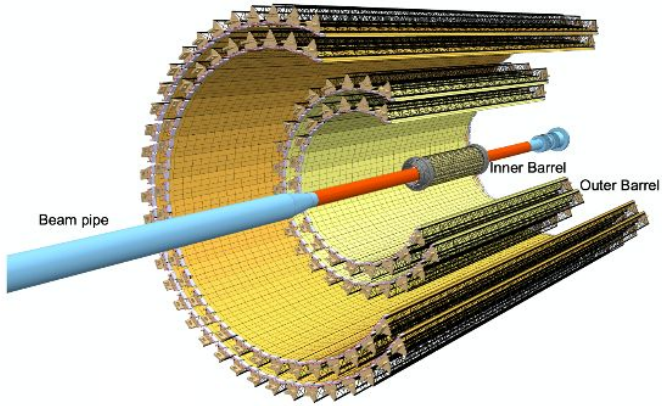


- Long range rapidity correlation \rightarrow originates at early time
- Short range rapidity correlation \rightarrow originates at later time
- Shape of the correlation function changes with correlation length



ALICE, arXiv:2204.10166

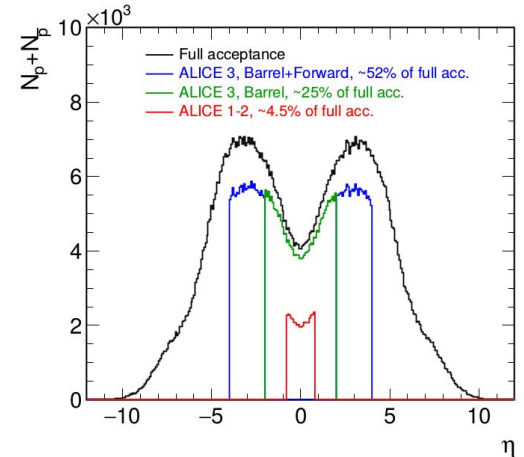
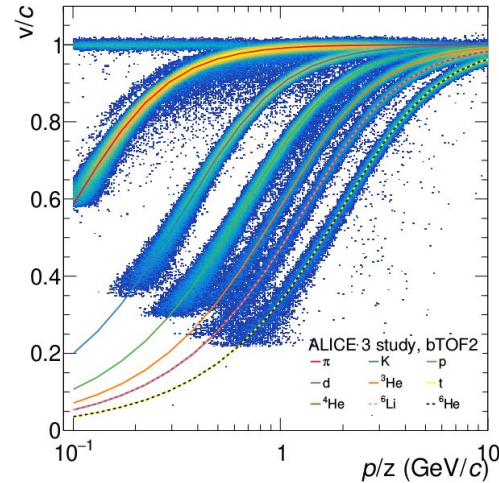
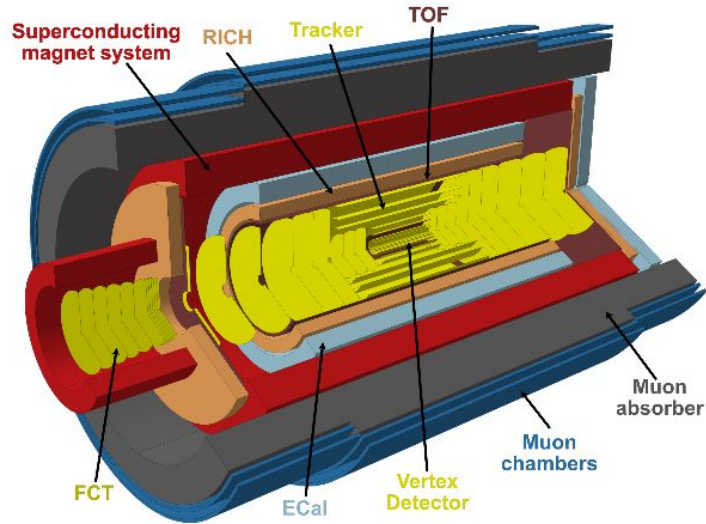
- **Data:** strong acceptance dependence of correlation strength
- **SHM:** describes data, strength depends on fraction of baryons in acceptance out of total produced baryons
- **Coalescence:** ~flat with acceptance, strength depends on the nucleon phase space density or d/p ratio



- New Inner Tracking System:
improved tracking at low p_T and vertex resolution
→ high tracking efficiency at low p_T
- Continuous readout system of the TPC using GEMs:
will provide a factor 50 more statistics in Pb–Pb
→ $O(10^9)$ Pb–Pb and $O(10^{11})$ pp events

Improved statistics:

- Precise measurements of antideuteron fluctuation
- Higher-order correlations and cumulants
- A=3 nuclei and in measurements pp collisions



CERN-LHCC-2022-009

- High statistics: $O(10^9)$ Pb–Pb events
- Large acceptance $\rightarrow |\eta| < 4$
- High PID purity

Allow precise mapping of correlation length between nuclei and nucleon

First measurement of event-by-event nuclei fluctuation and its correlation with nucleon in heavy-ion collisions gives additional testing ground for nucleosynthesis

SHM:

- Simultaneously describes the κ_2/κ_1 ratio of antideuteron and its correlation with antiproton but with a much smaller correlation volume
 - New theory developments are needed for resolving this conundrum between proton and deuteron
 - partial chemical equilibrium or the implementation of the interaction of hadrons through phase-shift

Coalescence:

- Available coalescence model calculations do not simultaneously describe the antideuteron fluctuations and its correlation with antiproton
- Observables show a great sensitivity to the initial correlation between the antiproton and the antineutron which can be used for further development of these models

Future

- ALICE2 and ALICE3 will provide an unique opportunity to extend these measurements to heavier antinuclei and to higher order correlation coefficients and cumulants

First measurement of event-by-event nuclei fluctuation and its correlation with nucleon in heavy-ion collisions gives additional testing ground for nucleosynthesis

SHM:

- Simultaneously describes the κ_2/κ_1 ratio of antideuteron and its correlation with antiproton but with a much smaller correlation volume
→ New theory developments are needed to resolving this conundrum between proton and deuteron
 - partial chemical equilibrium or the implementation of the interaction of hadrons through phase-shift

Coalescence:

- Available coalescence model calculations do not simultaneously describes the antideuteron fluctuations and its correlation with antiproton
- Observables show a great sensitivity to the initial correlation between the antiproton and the antineutron which can be used for further development of these models

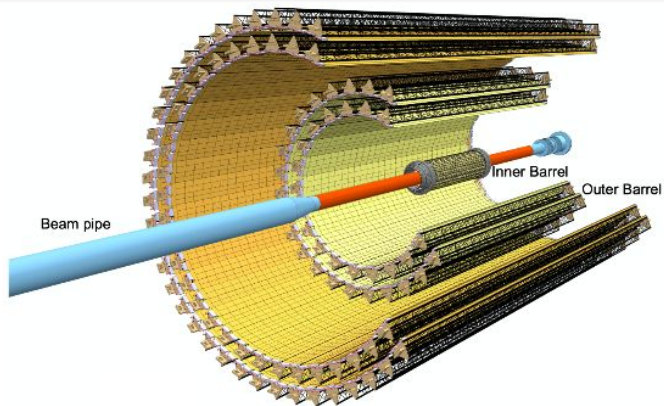
Future

- ALICE2 and ALICE3 will provide an unique opportunity to extend these measurements to heavier antinuclei and to higher order correlation coefficients and cumulants

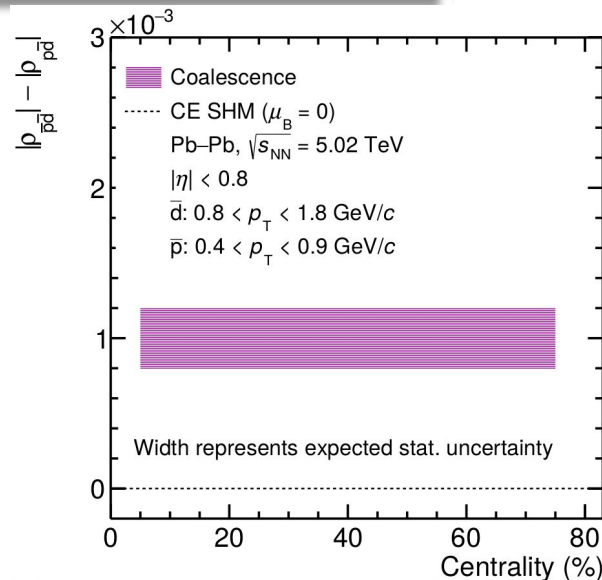
Thank you for your attention

Back up





- **New Inner Tracking System:**
improved tracking at low p_T and vertex resolution
→ high tracking efficiency at low p_T
- **Continuous readout system of the TPC using GEMs:**
will provide a factor 50 more statistics in Pb–Pb
→ $O(10^9)$ Pb–Pb and $O(10^{11})$ pp events
- **Light ITS:** significantly reduced material budget
→ negligible contribution of p and d from spallation

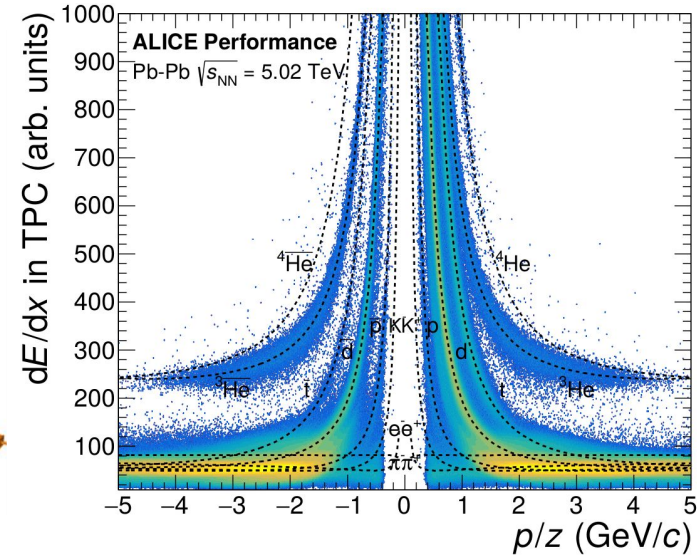
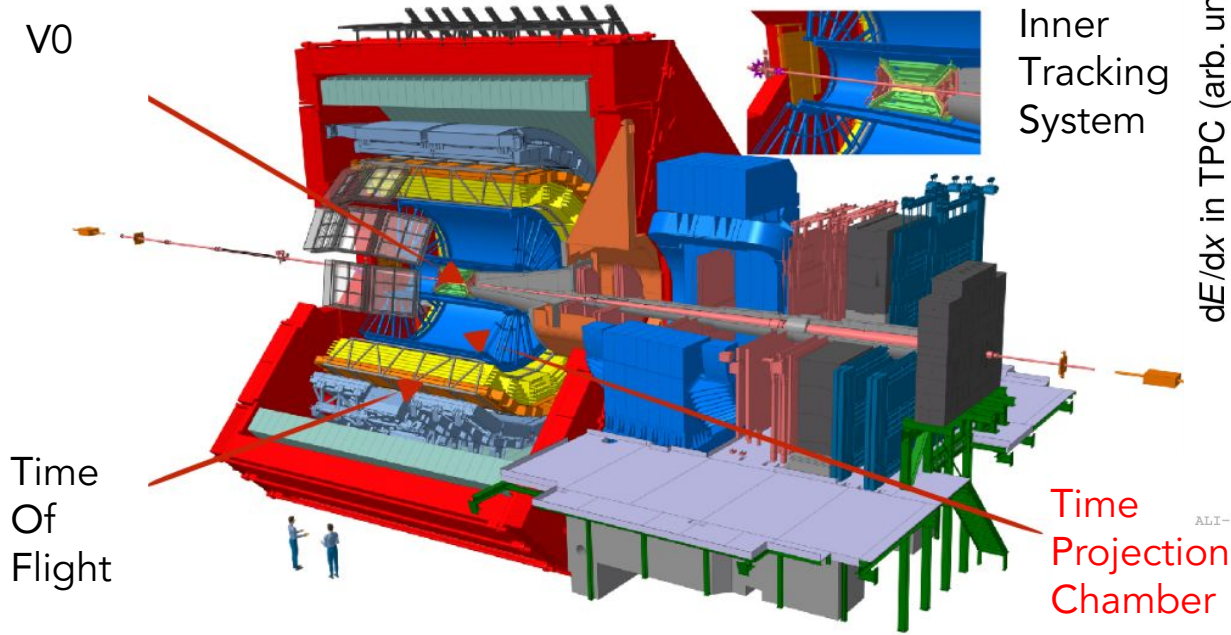


Source of correlation:

- antiproton-antideuteron: coalescence + conservation
- proton-antideuteron: conservation

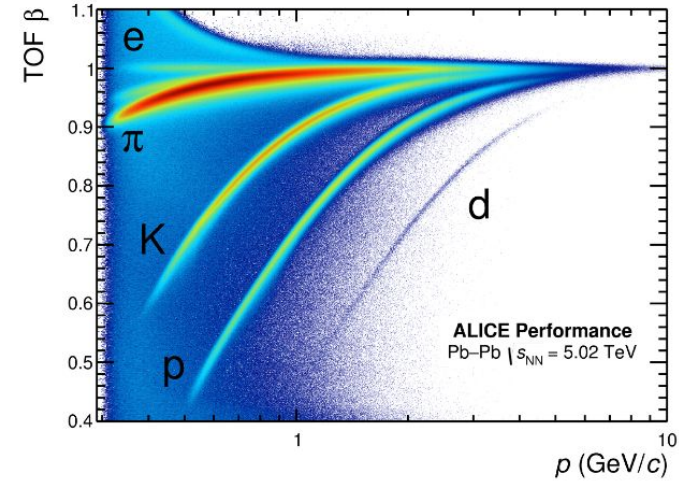
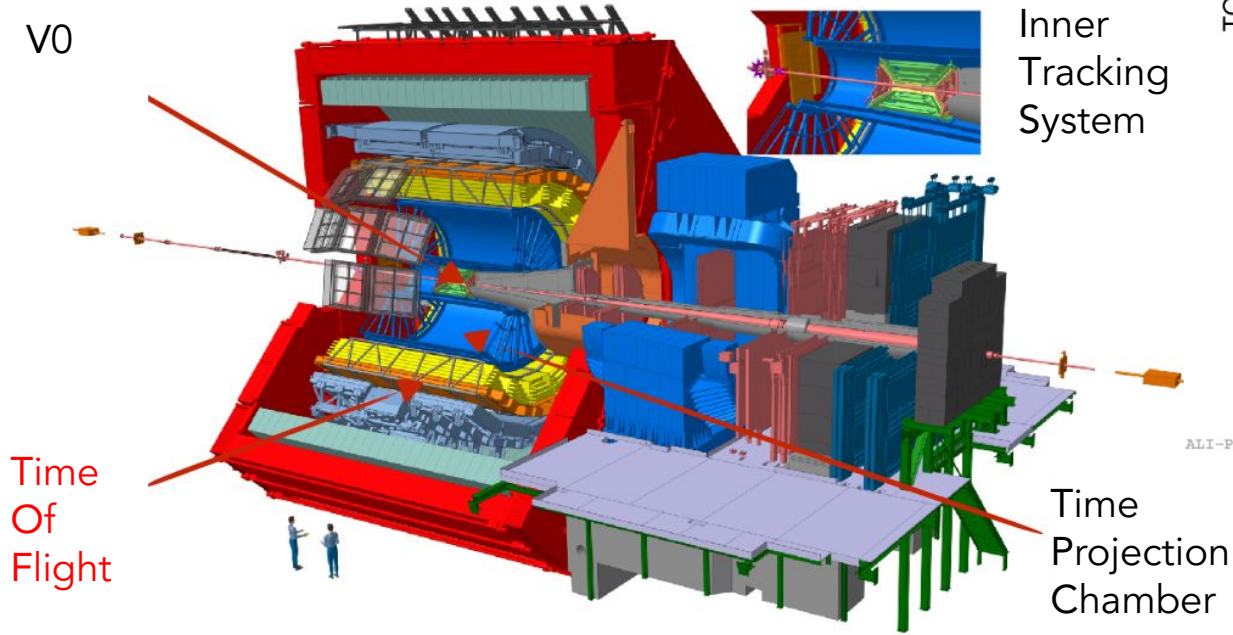
Reduced material budget:

- Difference between antiproton-antideuteron and proton-antideuteron correlation



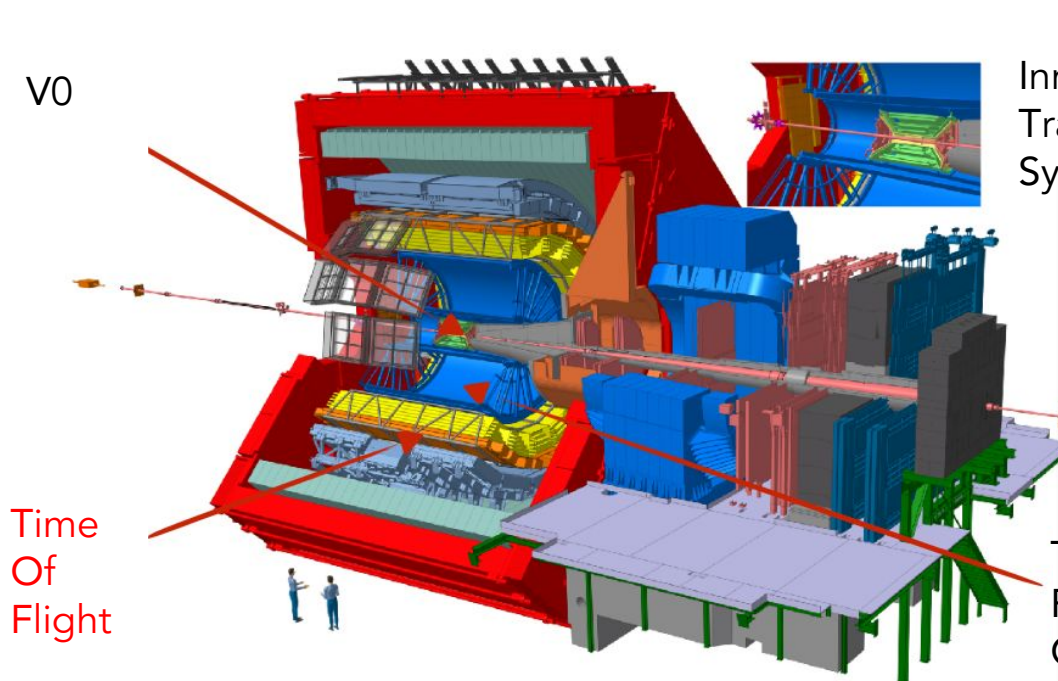
ALI-PERF-341664

- At low momentum the specific energy loss measured by TPC provides excellent PID for deuterons
→ rel. σ dE/dx $\sim 6.5\%$ (in Pb-Pb collisions)

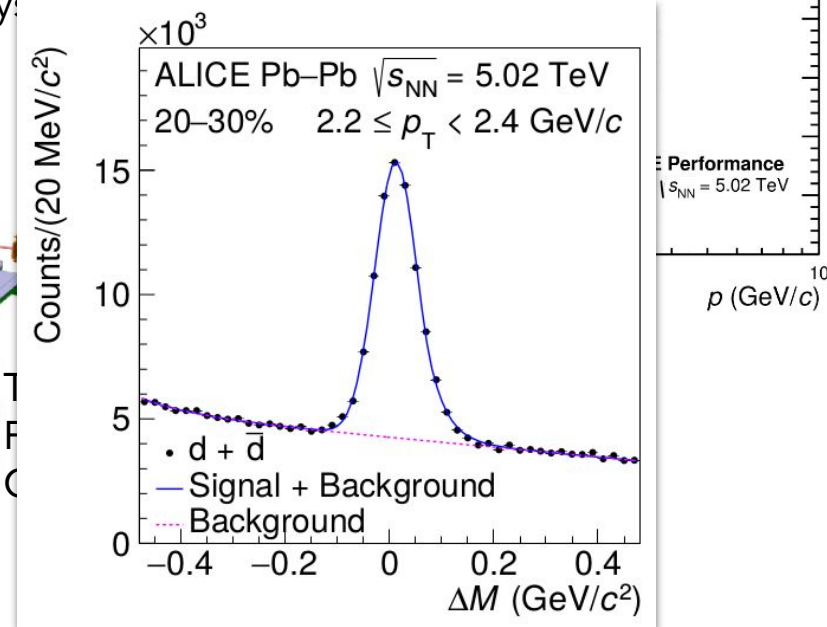
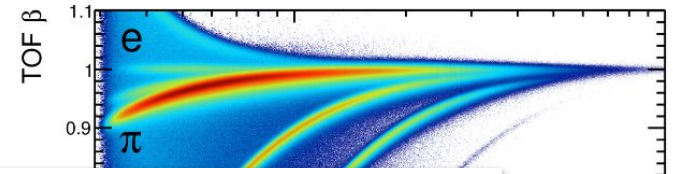


ALI-PERF-106336

- At high momentum the PID is performed using TOF to measure the β hence the mass of the particle
→ rel. σ TOF-PID ~ 65 ps in Pb-Pb collisions



Inner Tracking System



ALICE, Phys. Rev. C 102 (2020) 055203

- At high momentum the PID is performed using TOF to measure the β hence the mass of the particle
 \rightarrow rel. σ TOF-PID ~ 65 ps in Pb-Pb collisions

Event by event deuteron distribution:

- Grand Canonical Ensemble (GCE) of Thermal model: Poisson

- Coalescence model: deviation from Poisson

– Average deuteron multiplicity: $\lambda_d = B n_i n_j$

– Multiplicity distribution for a given number of initial nucleons:

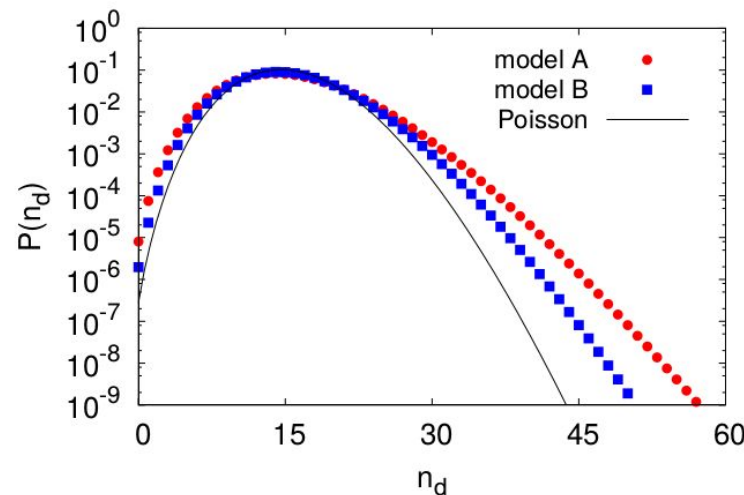
$$P_d(n_d | n_i, n_j) = \lambda_d^{n_d} \frac{e^{-\lambda_d}}{n_d!} = (B n_i n_j)^{n_d} \frac{e^{-B n_i n_j}}{n_d!}$$

– Final deuteron multiplicity distribution:

$$P_d(n_d) = \sum_{n_i, n_j \geq n_d} P_d(n_d | n_i, n_j) P_i(n_i) P_j(n_j)$$

Model parameters:

- Coalescence parameter B
 - Average initial proton or neutron number
- $$\langle n_i \rangle = \langle n_p \rangle + \langle n_n \rangle$$



Jan Steinheimer et al., Phys. Rev. C 93, (2016) 054906

Model A: nucleons are correlated

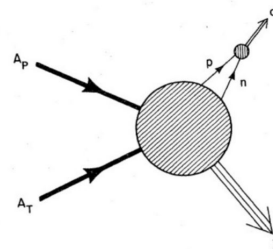
Model B: nucleons fluctuate independently

$$E_A \frac{d^3 N_A}{dp_A^3} = B_A \left(E_{p,n} \frac{d^3 N_{p,n}}{dp_{p,n}^3} \right)^A \Big|_{\vec{p}_p = \vec{p}_n = \frac{\vec{p}_A}{A}}$$

- Bound states produced at phase boundary are destroyed by interactions in the hadron gas phase
- Nuclear clusters are formed at kinetic freeze-out by coalescence of nucleons (hyperons) if nucleons are close in phase space
- Simple Coalescence model: only momentum correlations are considered: $\Delta p_{ij} = 0$

$$E_A \frac{d^3 N_A}{dp_A^3} = B_A \left(E_{p,n} \frac{d^3 N_{p,n}}{dp_{p,n}^3} \right)^A \Big|_{\vec{p}_p = \vec{p}_n = \frac{\vec{p}_A}{A}}$$

↙ Invariant yield of nuclei
↓ Coalescence parameter
↘ Invariant yield of nucleon



J. Kapusta, Phys. Rev. C 21 (1980) 1301

- Advanced Coalescence model:

$$N_d = g_d \int d^3 \mathbf{x}_1 \int d^3 \mathbf{k}_1 \int d^3 \mathbf{x}_2 \int d^3 \mathbf{k}_2 f_n(\mathbf{x}_1, \mathbf{k}_1) f_p(\mathbf{x}_2, \mathbf{k}_2) W_d(\mathbf{x}_1 - \mathbf{x}_2, (\mathbf{k}_1 - \mathbf{k}_2)/2),$$

↙ spin-isospin degeneracy factor
↘ phase space distributions of nucleon
↘ Wigner function of nuclei

$$N_d = \frac{3N_n N_p}{4(mT_K R^2)^{3/2}} \frac{1}{\left(1 + \frac{1}{mT_K \sigma^2}\right)^{3/2}} \frac{1}{\left(1 + \frac{\sigma^2}{4R^2}\right)^{3/2}}$$

$$\sigma = \sqrt{8/3} r_d$$

Nuclei yield depends on source size R , finite size r_d of the cluster and kinetic freeze-out temperature T_k

K.-J. Sun et al., Phys. Lett. B 792 (2019) 132

- Efficiency correction depends on the event-by-event efficiency distributions.
 - ~**binomial** distribution
 - MC closure test is performed to validate the method

Binomial efficiency corrected cumulant:

$$\kappa_1 = \langle q_1 \rangle$$

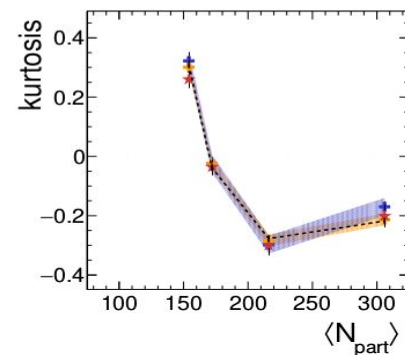
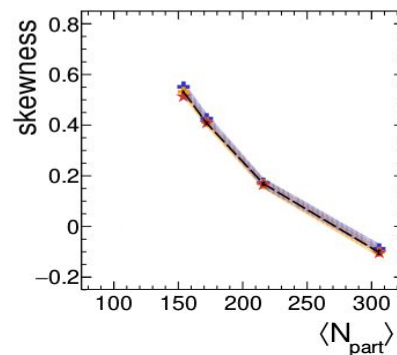
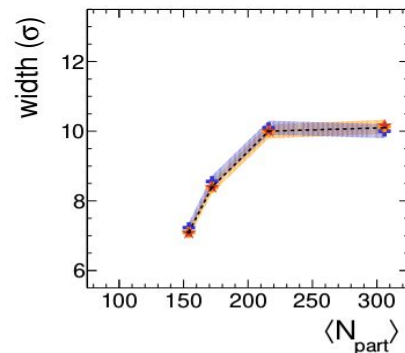
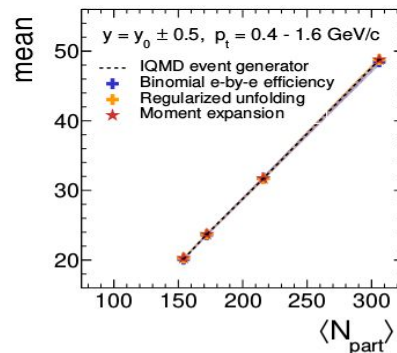
$$\kappa_2 = \langle q_1^2 \rangle - \langle q_1 \rangle^2 + \langle q_1 \rangle - \langle q_2 \rangle$$

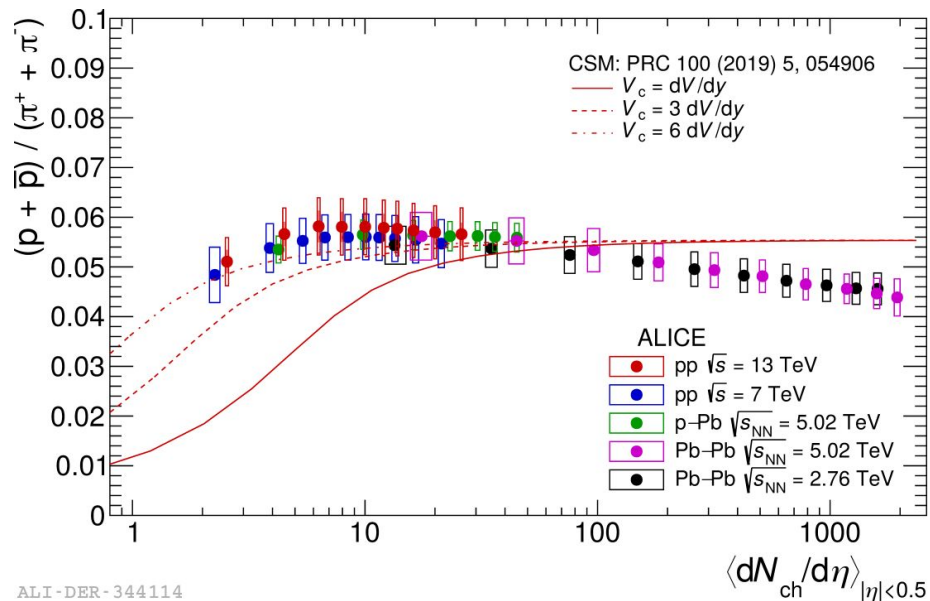
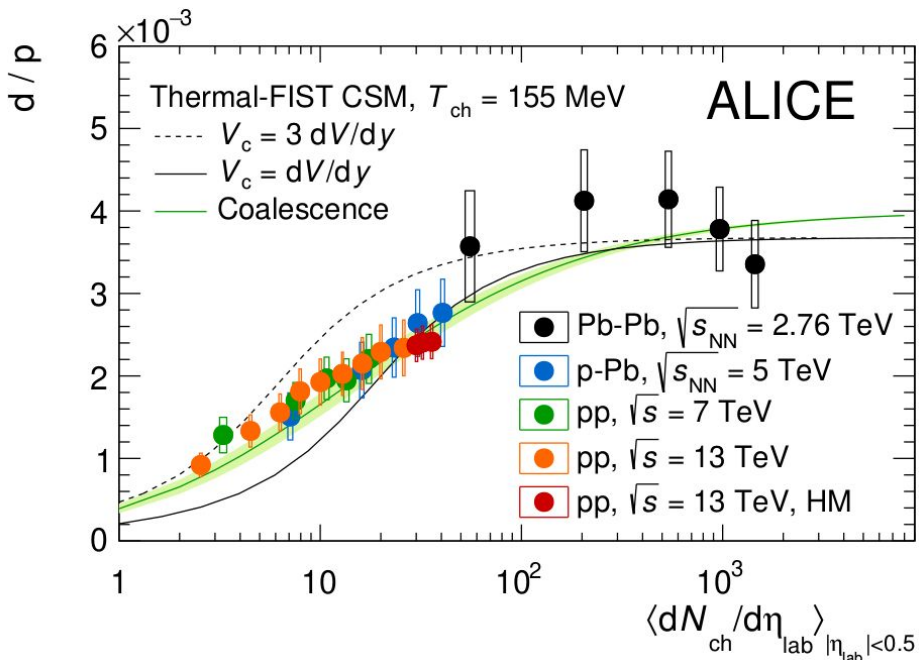
$$\kappa_{11} = \langle q_1^d q_1^p \rangle - \langle q_1^d \rangle \langle q_1^p \rangle$$

$$\rho = \kappa_{11} / \sqrt{(\kappa_2^d \kappa_2^p)} \quad T. \text{Nonaka et al., Phys. Rev. C 95, (2017) 064912}$$

$$q_n = \sum_{i=1}^M (n_i / \varepsilon_i^n)$$

$M = \text{number of } p_T \text{ bins}$
 $\varepsilon = \text{efficiency}$
 $n_i = \text{raw counts in } i^{\text{th}} p_T \text{ bin}$

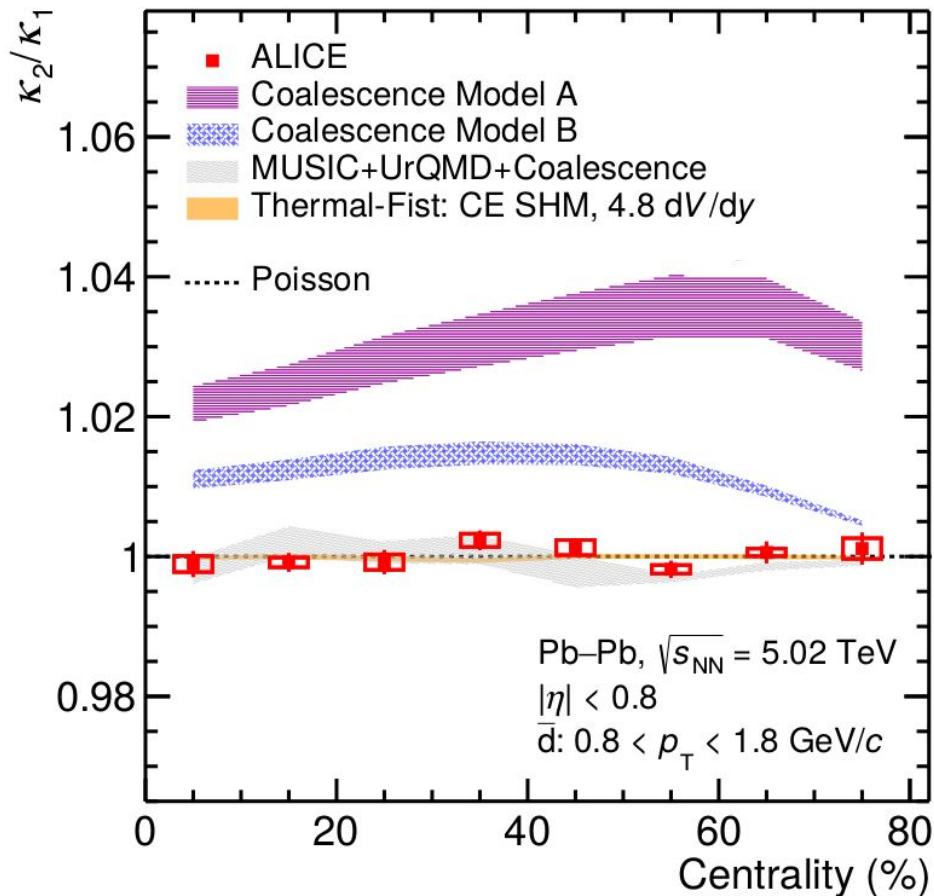




ALICE, JHEP 01 (2022) 106

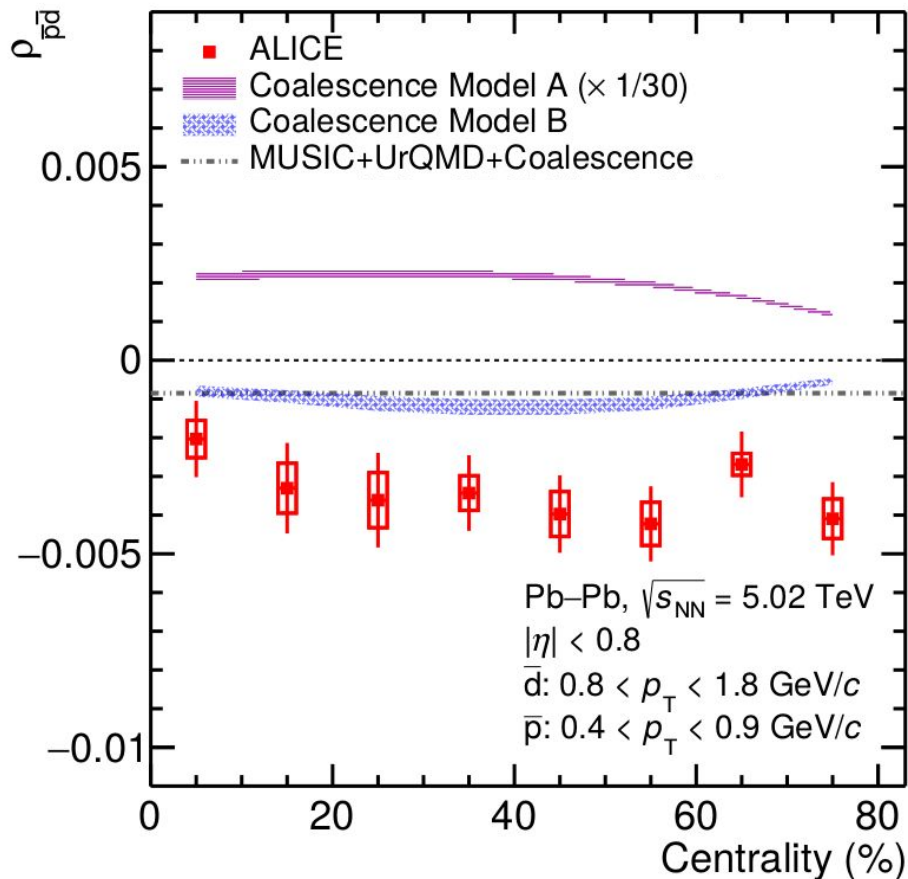
- With the same correlation volume (V_c) proton over pion ratio is not reproduced at low multiplicity

$V_c \rightarrow$ volume in which baryons are correlated due to baryon number conservation

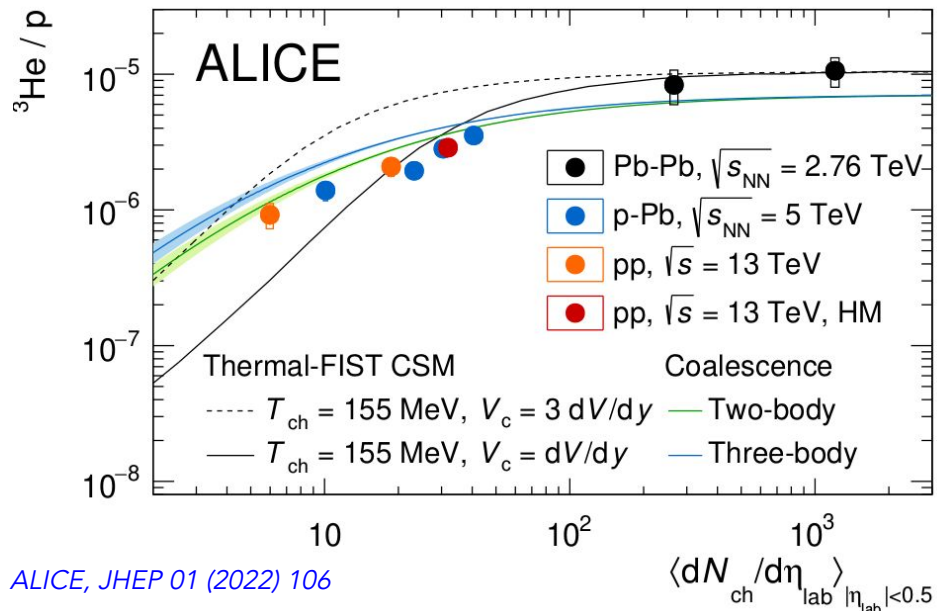


- MUSIC+UrQMD+Coalescence: coupling coalescence to a hydrodynamical model with hadronic interactions in the final state
- Consistent with the data
- Difference is due to the method of conservation
 - **Simple coalescence**: perturbative approach of nuclei production
 - MUSIC+UrQMD+Coalescence: sequential production of nuclei

K. -J. Sun et al., arXiv:2204.10879
 ALICE, arXiv:2204.10166

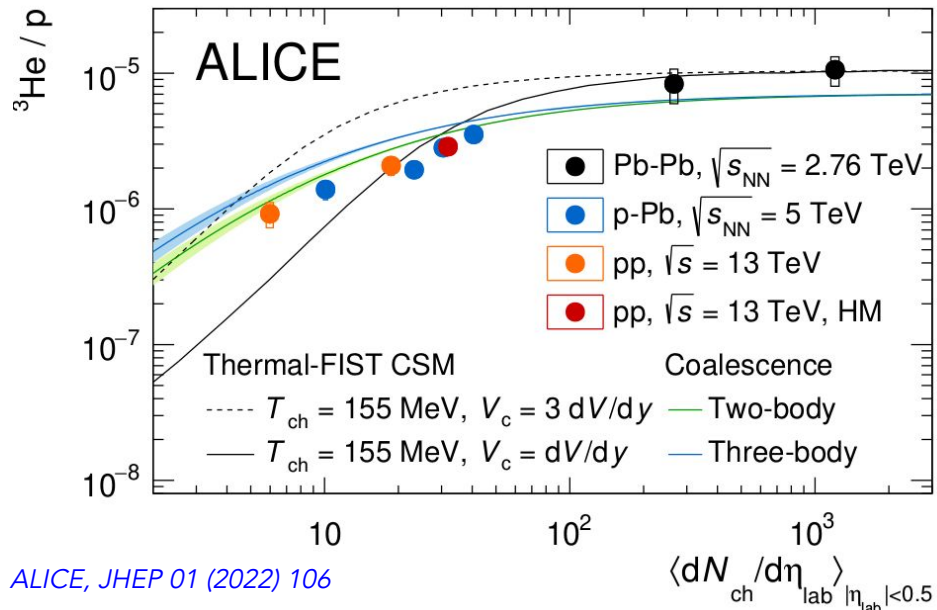


- Evidence of small negative correlation
 - in events with at least one antideuteron, there are $O(0.1\%)$ less antiproton than in an average event
- Rules out **Coalescence model** with correlated production of nucleons
 - isospin conservation in antiproton channel
- Qualitatively explained by **Coalescence model** with independent fluctuation of nucleons
- MUSIC+UrQMD+Coalescence \approx **Coalescence model B**

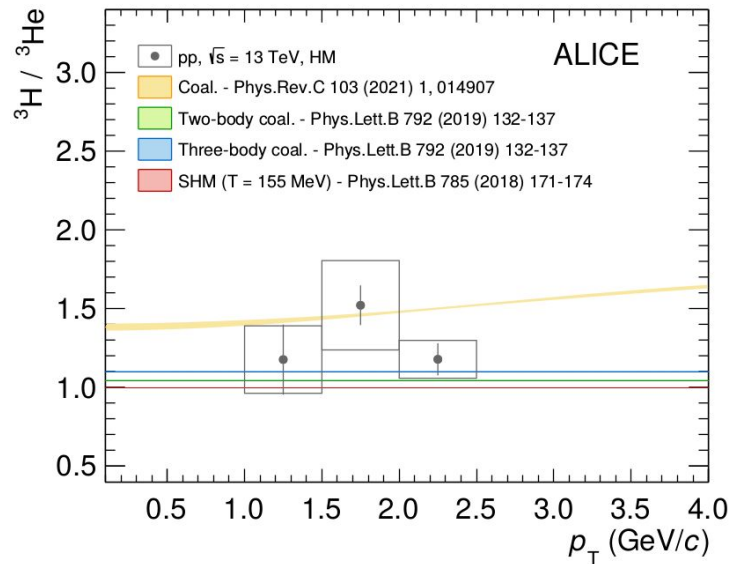


ALICE, JHEP 01 (2022) 106

- Qualitatively described by both models

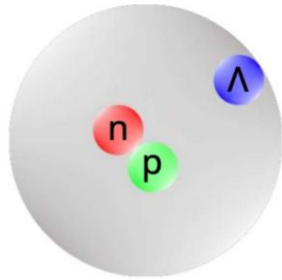


ALICE, JHEP 01 (2022) 106



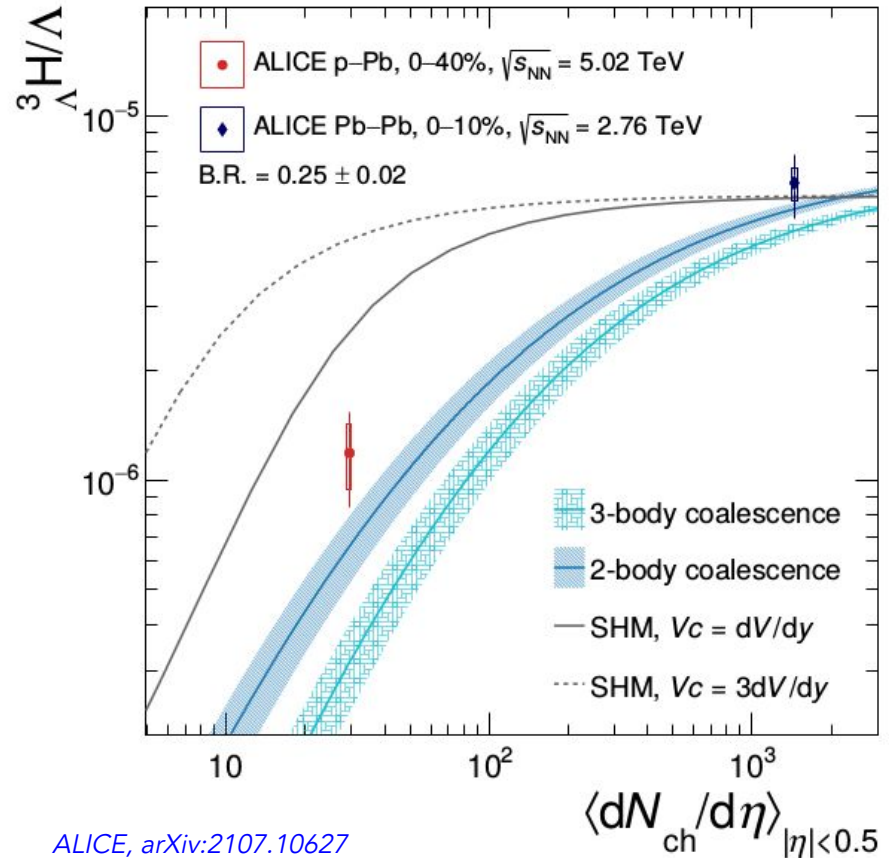
- **SHM:** ${}^3\text{H}/{}^3\text{He} \sim 1$ because of similar mass
- **Coalescence:** ${}^3\text{H}/{}^3\text{He} > 1$ as $r({}^3\text{H}) / r({}^3\text{He}) \sim 0.9$

No conclusive evidence to distinguish between production mechanisms

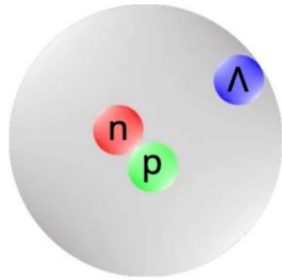


$$\sqrt{\langle R_c^2 \rangle} = 4-5 \text{ fm}$$

- Large radius of ${}^3\Lambda\text{He}$ in Coalescence model leads to a larger suppression in small system
 → good discriminating power between SHM and coalescence in small system but not in AA collisions



ALICE, arXiv:2107.10627

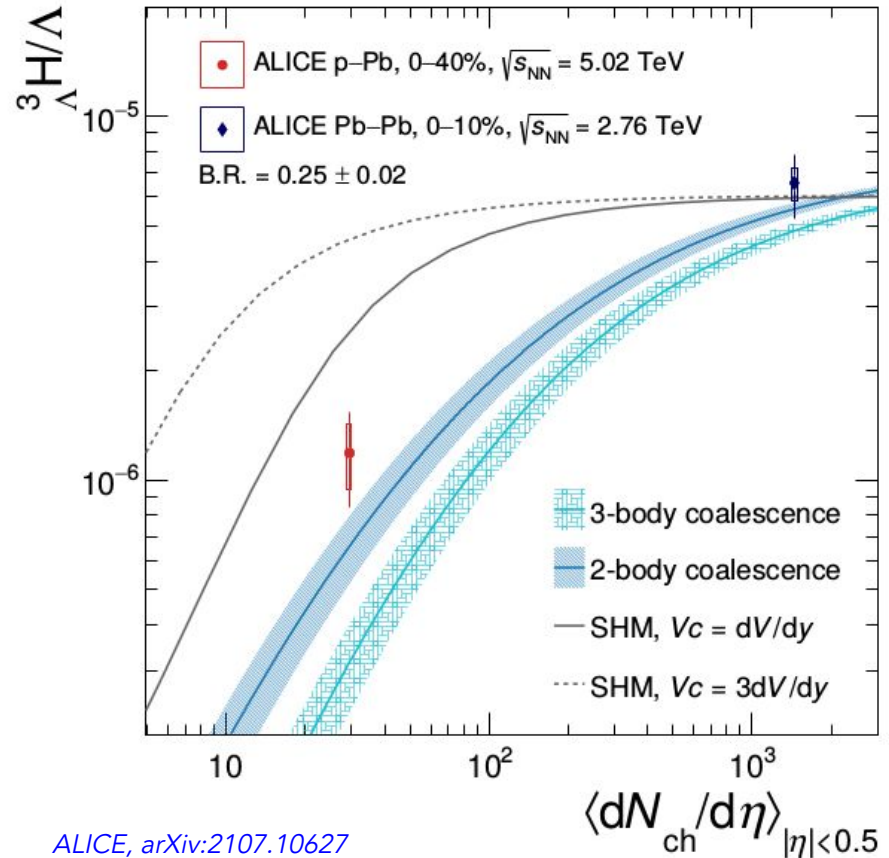


$$\sqrt{\langle R_c^2 \rangle} = 4-5 \text{ fm}$$

- Large radius of ${}^3\Lambda\text{He}$ in Coalescence model leads to a larger suppression in small system
→ good discriminating power between SHM and coalescence in small system but not in AA collisions

Open points in SHM:

- Hadrons are assumed as point-particle
- Large root-mean-square radius $\sim 4-5 \text{ fm}$ > system volume in pp / p-Pb collisions



ALICE, [arXiv:2107.10627](https://arxiv.org/abs/2107.10627)

Choice of particle: Antiparticle instead of particle to remove secondaries produced in detector material

Particle identification:

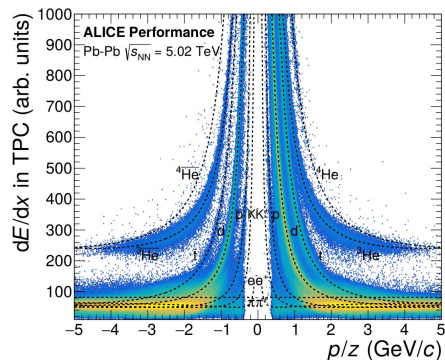
TPC: $0.8 < p_T < 1.0$ GeV/c (antideuteron)

$0.4 < p_T < 0.6$ GeV/c (antiproton)

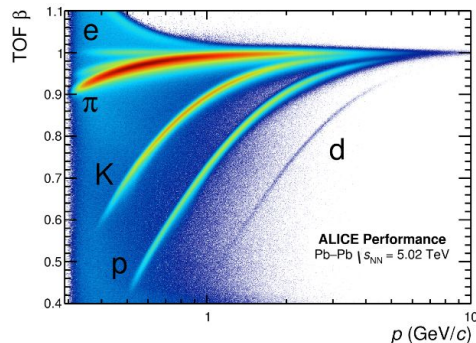
TPC+TOF: $1.0 < p_T < 1.8$ GeV/c (antideuteron)

$0.6 < p_T < 0.9$ GeV/c (antiproton)

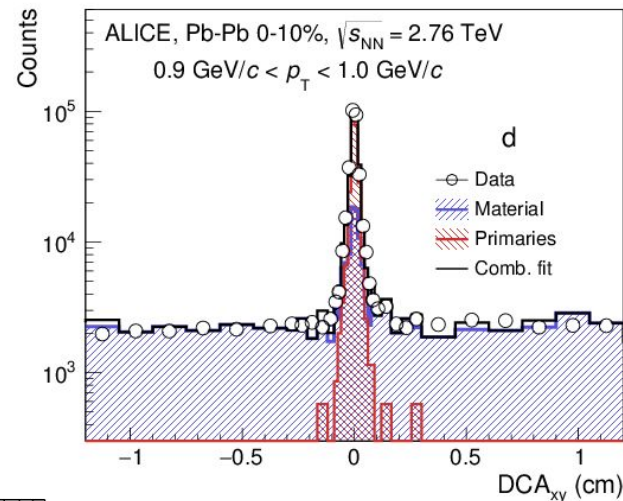
- Antideuteron purity > 90%, antiproton purity > 95%
- Autocorrelation due to misidentification of antiproton as antideuteron is negligible due to separate p_T acceptance



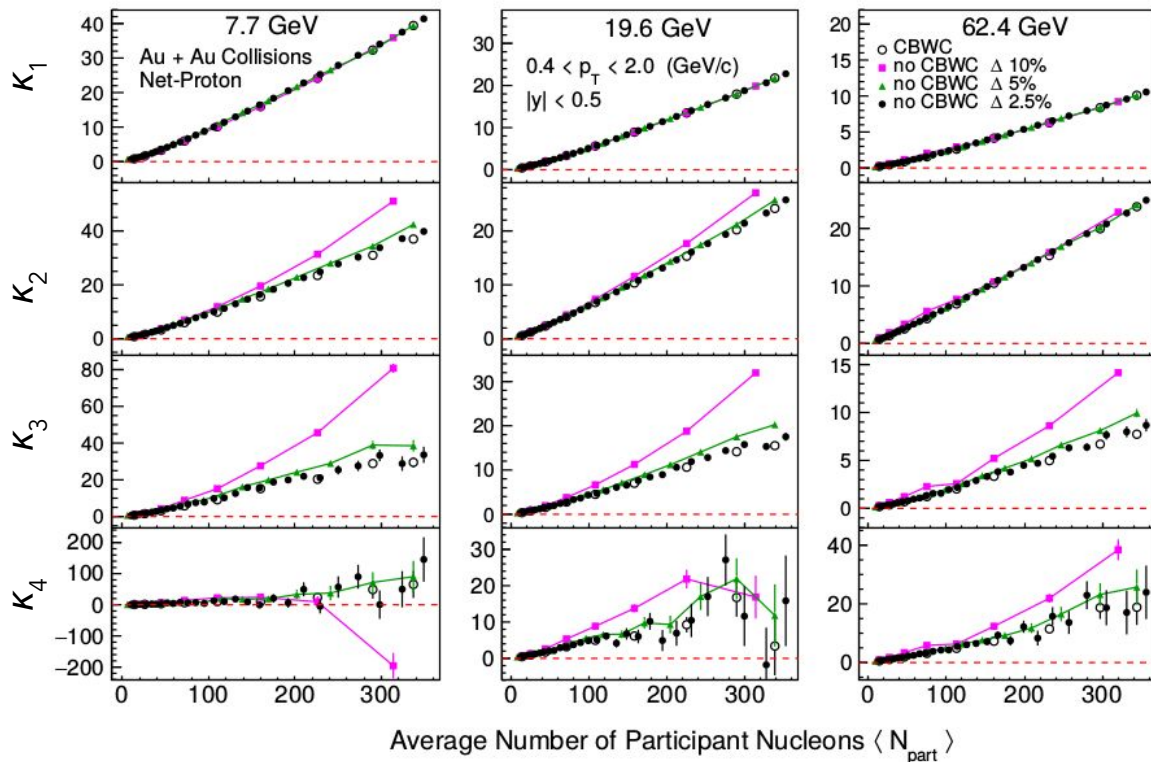
ALI-PRF-341664



ALI-PRF-106336

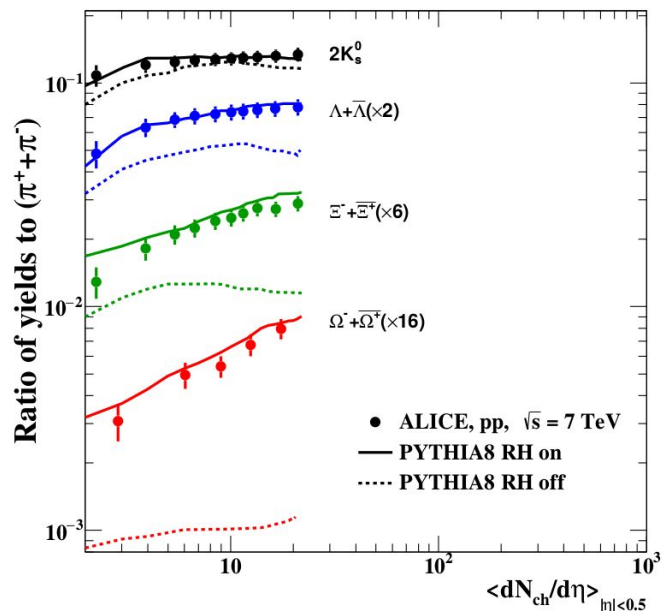


ALICE, *Phys. Rev. C* 93 (2016) 024917



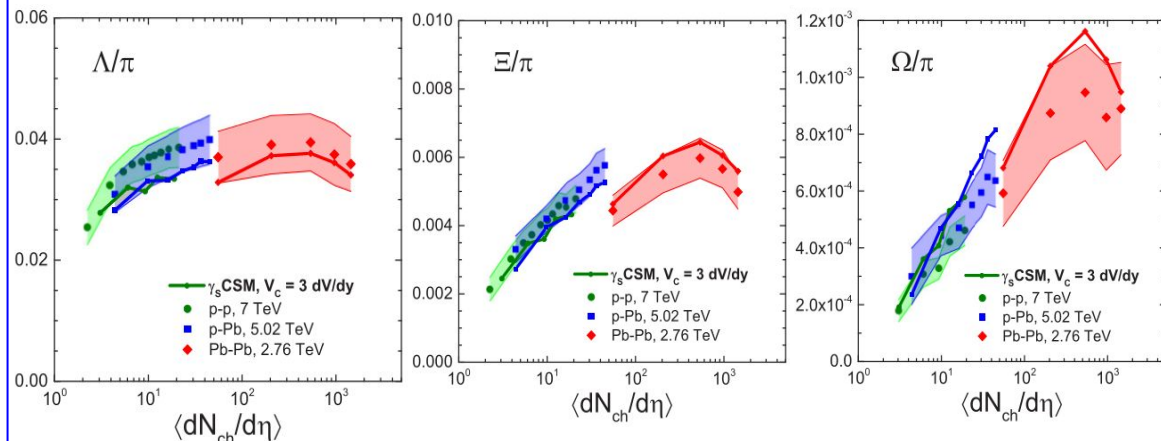
- Initial geometry and final-state multiplicity does not correspond one-to-one
- Volume fluctuations can be largely suppressed by centrality bin width correction (CBWC)

PYTHIA



R. Nayak et al., Phys. Rev. D 100, (2019) 074023

Strange Canonical Ensemble of Thermal model



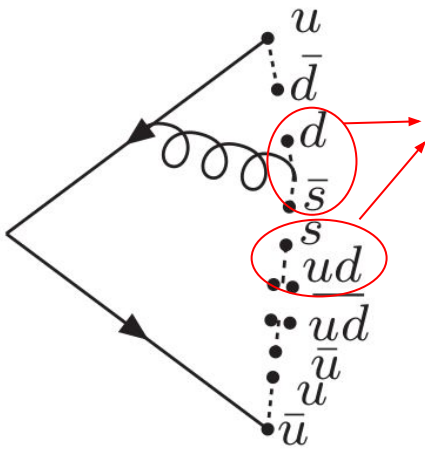
V. Vovchenko et al., Phys. Rev. C 100, (2019) 054906

- Both PYTHIA and Thermal model explain strangeness production in small system

What is the underlying reason of strangeness enhancement in small system?

Canonical suppression of open strange hadrons / the inclusion of baryon junction in rope hadronization

Lund string hadronization

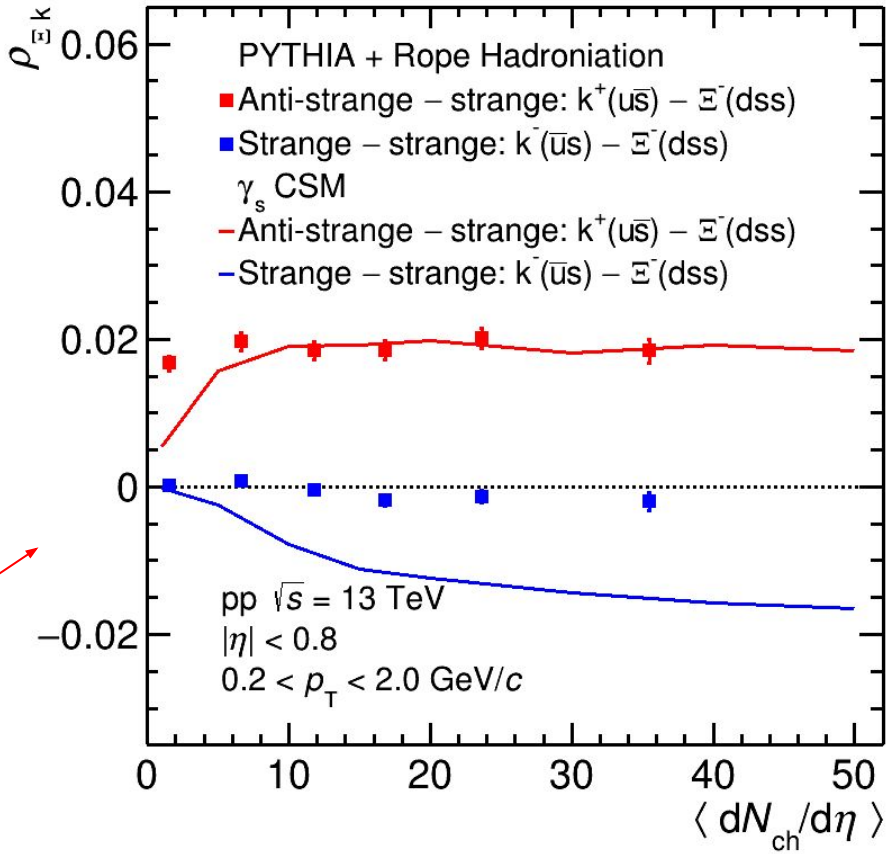


- Production of strange hadrons is always associated with the production of antistrange hadron
- Negligible correlation between 2 strange or antistrange hadrons

Thermal model:

- Strangeness is conserved in a volume

Strangeness correlation can help to understand strange hadron production



Heavy-ion collisions: all models give similar predictions for light and hypernuclei yields

→ Need to go beyond the yield measurements

Small system: models can be discriminated using nuclei of larger radius

Hadron gas is a very hostile environment for light nuclei (reminder: binding energy \approx few MeV)

- typical hadronic momentum transfer > 100 MeV/c

$$\sigma_{\pi d} > 100 \text{ mb} = 10 \text{ fm}^2 \quad \text{From SAID database}$$

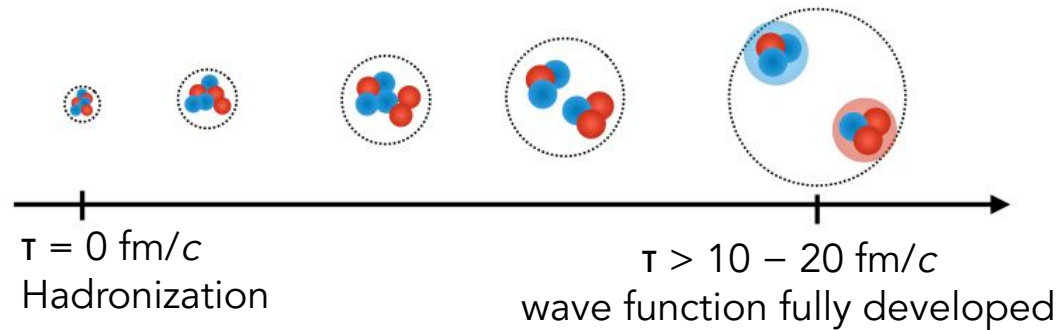
$$\lambda_d = \frac{1}{n\sigma} < \frac{1}{\underbrace{\frac{0.05}{\text{fm}^3}} \times 10 \text{ fm}^2} = 2 \text{ fm}$$

λ_d should exceed ≈ 10 -15 fm for deuteron survival!

Density at kinetic freeze-out
(when elastic interactions cease)

Assumptions:

- Light nuclei produced as compact (colorless) quark systems
> Negligible interaction with hadrons
- Formation time $> \tau$ hadronic phase



Back up

