

# VBF-V EFT studies @ LHE

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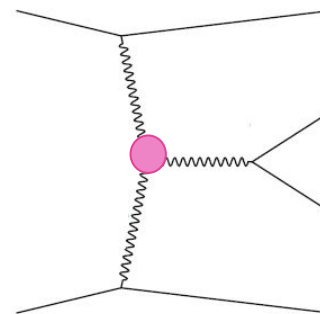
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# Outline and motivation

**VBF-V:** EFT dimension 6 studies @ LHE.

- ★ Based on **previous** studies in the field:
  - [W+2j](#): 35.9 fb<sup>-1</sup> 13 TeV CMS analysis
  - [Z+2j](#): 35.9 fb<sup>-1</sup> 13 TeV CMS analysis
- ★ **Preliminary** analysis at parton level:
  - no detector effects, no backgrounds;
  - describe analysis set up and strategy;
  - show some preliminary **results**.
- ★ Outlook:
  - show some possibilities for **future** studies.



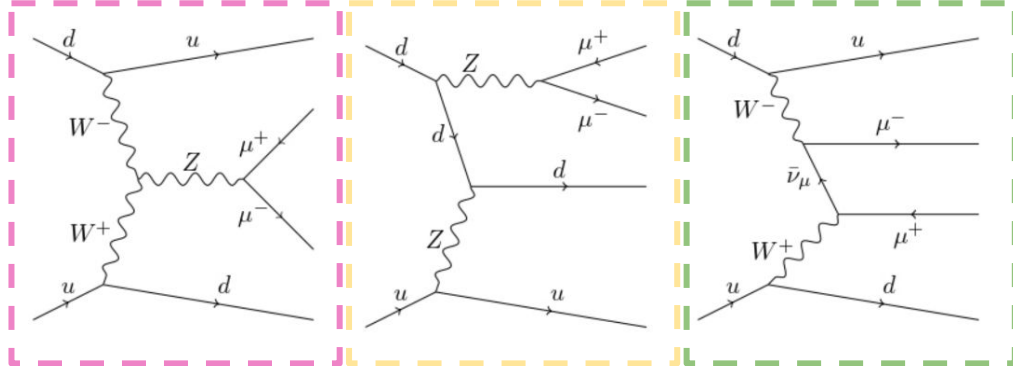
## Why VBF $\rightarrow$ V?

Interesting process for testing the standard model (SM), **complementary** to Higgs boson measurements.

Sensitive to anomalous trilinear gauge couplings (**ATGCs**): indirect search for **beyond-the-SM** physics at mass scales not directly accessible at the LHC.

# VBF - V

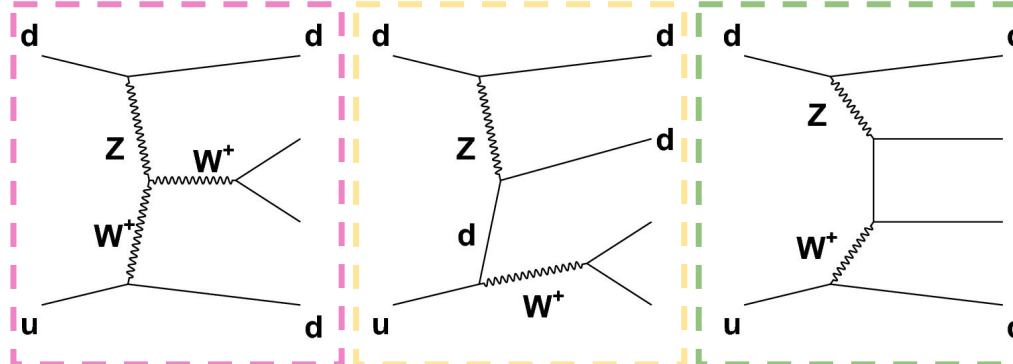
generate p p > l+ l- j j SMHLOOP=0 QCD =0 QED=4 NP=1



Production of a V boson from a purely electroweak process @LO  $O(\alpha^4 \alpha_s^0)$ :

Vector boson fusion

generate p p > l+ vl j j SMHLOOP=0 QED=4 QCD=0 NP=1



Bremsstrahlung-like

Multiperipheral

Including non-resonant diagrams

# SMEFT

Valid up to a certain energy scale of New Physics  $\Lambda$

The **SM** could be interpreted as an **effective low energy** approximation of a more complete **theory**.

$$\mathcal{L}_{SM} = \mathcal{L}_{SM}^{(4)} + \frac{1}{\Lambda} \sum_k \cancel{C_k^{(5)}} Q_k^{(5)} + \frac{1}{\Lambda^2} \sum_k C_k^{(6)} Q_k^{(6)} + \mathcal{O}\left(\frac{1}{\Lambda^3}\right)$$

**This talk**

**Renormalizable**  
 $SU(3)_C \times SU(2)_L \times U(1)_Y$

No L-conserving  
**(removed)**

Dimension-six terms:  
 $c_k$  **Wilson coefficients**  
 $Q_k$  **gauge-invariant operators**

Higher dimensional  
interaction terms  
**(neglected)**

Defined in the Warsaw basis

# Operators choice

★ 39 (25) for Z(W)+2j dim-6 SMEFT operators with various field content from Warsaw basis.

$X^3$		$\varphi^6$ and $\varphi^4 D^2$		$\psi^2 \varphi^3$	
$Q_G$	$f^{ABC} G_\mu^{Av} G_\nu^{B\rho} G_\rho^{C\mu}$	$Q_\varphi$	$(\varphi^\dagger \varphi)^3$	$Q_{e\varphi}$	$(\varphi^\dagger \varphi)(\bar{l}_p e_r \varphi)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_\mu^{Av} G_\nu^{B\rho} G_\rho^{C\mu}$	$Q_{\varphi\Box}$	$(\varphi^\dagger \varphi)\Box(\varphi^\dagger \varphi)$	$Q_{u\varphi}$	$(\varphi^\dagger \varphi)(\bar{q}_p u_r \tilde{\varphi})$
$Q_W$	$\varepsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$	$Q_{\varphi D}$	$(\varphi^\dagger D_\mu \varphi)^* (\varphi^\dagger D_\mu \varphi)$	$Q_{d\varphi}$	$(\varphi^\dagger \varphi)(\bar{q}_p d_r \varphi)$
$Q_{\tilde{W}}$	$\varepsilon^{IJK} \tilde{W}_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$				
$X^2 \varphi^2$		$\psi^2 X \varphi$		$\psi^2 \varphi^2 D$	
$Q_{\varphi G}$	$\varphi^\dagger \varphi G_{\mu\nu}^A G^{A\mu\nu}$	$Q_{eW}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi l}^{(1)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{l}_p \gamma^\mu l_r)$
$Q_{\varphi \tilde{G}}$	$\varphi^\dagger \varphi \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$	$Q_{eB}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) \varphi B_{\mu\nu}$	$Q_{\varphi l}^{(3)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu^I \varphi)(\bar{l}_p \tau^I \gamma^\mu l_r)$
$Q_{\varphi W}$	$\varphi^\dagger \varphi W_{\mu\nu}^I W^{I\mu\nu}$	$Q_{uG}$	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{\varphi} G_{\mu\nu}^A$	$Q_{\varphi e}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{e}_p \gamma^\mu e_r)$
$Q_{\varphi \tilde{W}}$	$\varphi^\dagger \varphi \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$	$Q_{uW}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{\varphi} W_{\mu\nu}^I$	$Q_{\varphi q}^{(1)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{q}_p \gamma^\mu q_r)$
$Q_{\varphi B}$	$\varphi^\dagger \varphi B_{\mu\nu} B^{\mu\nu}$	$Q_{uB}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{\varphi} B_{\mu\nu}$	$Q_{\varphi q}^{(3)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu^I \varphi)(\bar{q}_p \tau^I \gamma^\mu q_r)$
$Q_{\varphi \tilde{B}}$	$\varphi^\dagger \varphi \tilde{B}_{\mu\nu} B^{\mu\nu}$	$Q_{dG}$	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) \varphi G_{\mu\nu}^A$	$Q_{\varphi u}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{u}_p \gamma^\mu u_r)$
$Q_{\varphi WB}$	$\varphi^\dagger \tau^I \varphi W_{\mu\nu}^I B^{\mu\nu}$	$Q_{dW}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi d}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{d}_p \gamma^\mu d_r)$
$Q_{\varphi \tilde{W}B}$	$\varphi^\dagger \tau^I \varphi \tilde{W}_{\mu\nu}^I B^{\mu\nu}$	$Q_{dB}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) \varphi B_{\mu\nu}$	$Q_{\varphi ud}$	$i(\tilde{\varphi}^\dagger D_\mu \varphi)(\bar{u}_p \gamma^\mu d_r)$

$(\bar{L}L)(\bar{L}L)$		$(\bar{R}R)(\bar{R}R)$		$(\bar{L}L)(\bar{R}R)$	
$Q_{ll}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	$Q_{ee}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	$Q_{le}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{uu}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{tu}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{dd}$	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{td}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{eu}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{qe}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{ed}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$
		$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$
$(\bar{L}R)(\bar{R}L)$ and $(\bar{L}R)(\bar{L}R)$		$B$ -violating			
$Q_{ledq}$	$(\bar{l}_p^j e_r)(\bar{d}_s q_t^j)$	$Q_{duq}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(d_p^\alpha)^T C u_r^\beta] [(q_s^j)^T C l_t^k]$		
$Q_{quqd}^{(1)}$	$(\bar{q}_p^j u_r) \varepsilon_{jk} (\bar{d}_s^k d_t)$	$Q_{qqqu}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(u_s^\gamma)^T C e_t]$		
$Q_{quqd}^{(8)}$	$(\bar{q}_p^j T^A u_r) \varepsilon_{jk} (\bar{d}_s^k T^A d_t)$	$Q_{qqq}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jnm} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(q_s^m)^T C l_t^n]$		
$Q_{lequ}^{(1)}$	$(\bar{l}_p^j e_r) \varepsilon_{jk} (\bar{q}_s^k u_t)$	$Q_{duu}$	$\varepsilon^{\alpha\beta\gamma} [(d_p^\alpha)^T C u_r^\beta] [(u_s^\gamma)^T C e_t]$		
$Q_{lequ}^{(3)}$	$(\bar{l}_p^j \sigma_{\mu\nu} e_r) \varepsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$				

W+2j, Z+2j

Z+2j

W+2j

# SMEFT Monte Carlo generations

- ★ **39 (25)** for Z(W)+2j dim-6 SMEFT operators with various field content from Warsaw basis.
- ★ Generated at LO with [SMEFTsim](#) + MadGraph5\_aMC@NLO (2.6.5).
  - Insertion of **one** operator per diagram in production/decay.
  - **U(3)<sup>5</sup>** flavour symmetry, {mW,mZ, GF} input scheme, CP-even,  $\Lambda = 1$  TeV.
  - Used **LO MG re-weight**:
    - generate events once;
    - reweight to different Wilson coeff;
    - algebra to extract single components.

Faster than single components generation

$$N \propto \overbrace{|\mathcal{A}_{SM}|^2}^{SM} + \sum_{\alpha} \frac{C_{\alpha}}{\Lambda^2} \cdot \underbrace{2 \operatorname{Re}(\mathcal{A}_{SM} \mathcal{A}_{Q_{\alpha}}^{\dagger})}_{\text{Lin}} + \frac{C_{\alpha}^2}{\Lambda^4} \cdot \overbrace{|\mathcal{A}_{Q_{\alpha}}|^2}^{\text{Quad}} + \sum_{\alpha, \beta} \frac{C_{\alpha} C_{\beta}}{\Lambda^4} \cdot \underbrace{\operatorname{Re}(\mathcal{A}_{Q_{\alpha}} \mathcal{A}_{Q_{\beta}}^{\dagger})}_{\text{Mix}}$$

# Phase space selections

Chose the **leptonic decay** mode:

- clearest signature;
- favorable signal to background ratio.

Reproduced **LHC-like** selections, based on the characteristic **signature** of VBF-V leptonic final state:

- **2 energetic jets** well separated in pseudorapidity
- **1 (2) charged lepton(s)** (e or  $\mu$ ) from W(Z) decay

## W+2j

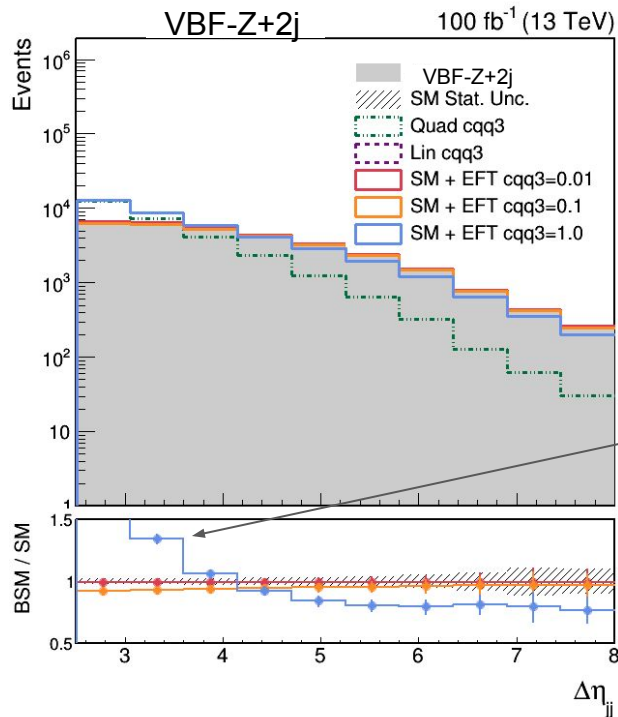
$$\begin{aligned}
 & p_{T,j1} > 70 \text{ GeV and } p_{T,j2} > 70 \text{ GeV} \\
 & \mathbf{m_{jj} > 400 \text{ GeV and } |\Delta\eta_{jj}| > 4} \\
 & p_{T,l1} > 25 \text{ GeV and } |\eta_{l1}| < 2
 \end{aligned}$$

## Z+2j

$$\begin{aligned}
 & p_{T,j1} > 50 \text{ GeV and } p_{T,j2} > 30 \text{ GeV} \\
 & \mathbf{m_{jj} > 200 \text{ GeV and } |\Delta\eta_{jj}| > 1} \\
 & p_{T,l1} > 25 \text{ GeV and } p_{T,l2} > 20 \text{ GeV} \\
 & \mathbf{77 \text{ GeV} < m_{ll} < 107 \text{ GeV}} \\
 & p_{T,ll} > 30 \text{ GeV} \\
 & p_T^{\text{miss}} < 100 \text{ GeV}
 \end{aligned}$$

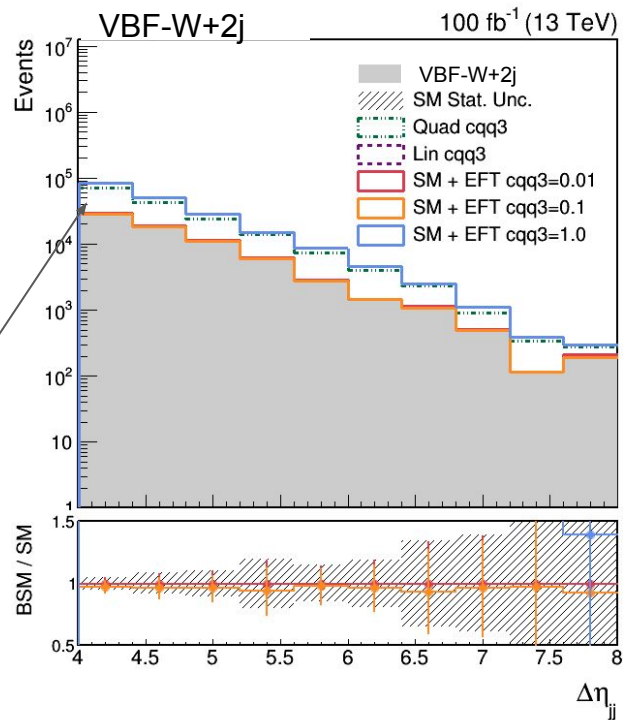
# Signal region

For each operator and channel distributions of **several observables** are investigated  
 → looking for the most **discriminating** one



$Q_{qq}^{(3)}$

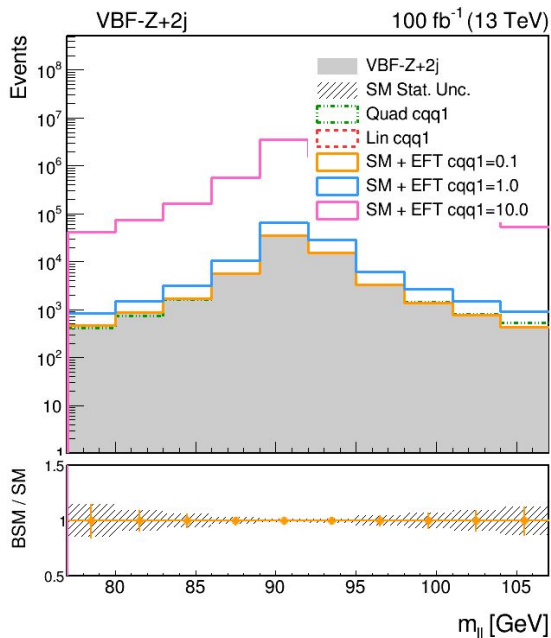
Departures from the SM are well visible for values of  $cqq3 = 1$





# Shape analysis

Performed **shape analysis** with MC templates of **SM, lin, int, and quad** components to extract operators constraints at 68% and 95% c.l.:



Poisson

$$\mathcal{L}(c) = \prod_{bin=k} \frac{(N_k(c))^{n_k} e^{-N_k(c)}}{n_k!} \times \prod_{syst=j} \pi(\tilde{\theta}|\theta)$$

Systematic uncertainties as **nuisances**

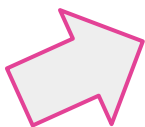
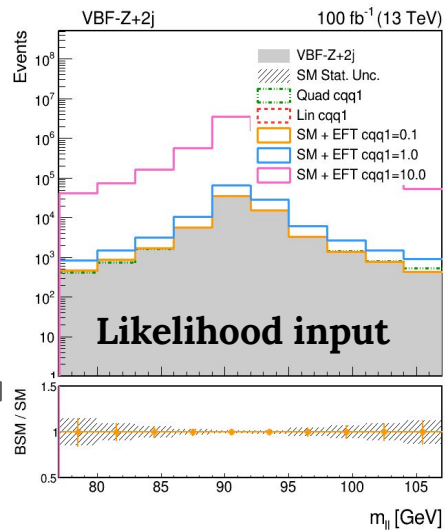
$$N(c) = SM + \sum_c c_\alpha Lin_\alpha + c_\alpha^2 Quad_\alpha + \sum_{\alpha\beta} c_\alpha c_\beta Mix_{\alpha\beta}$$

Assumed **SM** scenario  $\Rightarrow n = N(o)$

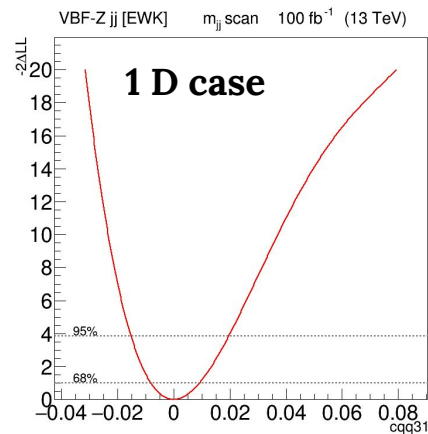
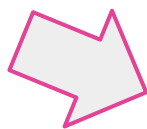
Considered only one **nuisance**: 2% on luminosity.

# Analysis strategy

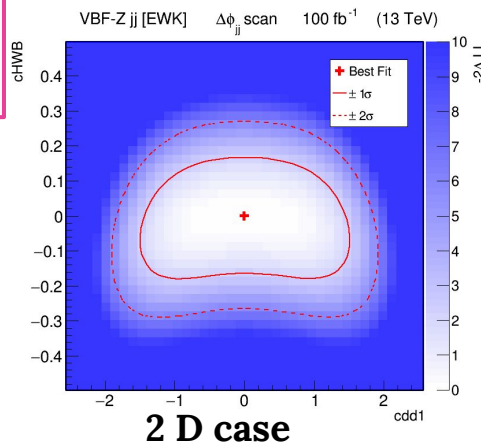
Performed a 1D (2D) **likelihood scan** for each (pair of) operator(s) for each observable:



NB: other operators are set to 0 during the scan.



**Sensitivity** estimated as:  
68% c.l.:  $-2\Delta\log L < 1$   
95% c.l.:  $-2\Delta\log L < 3.84$



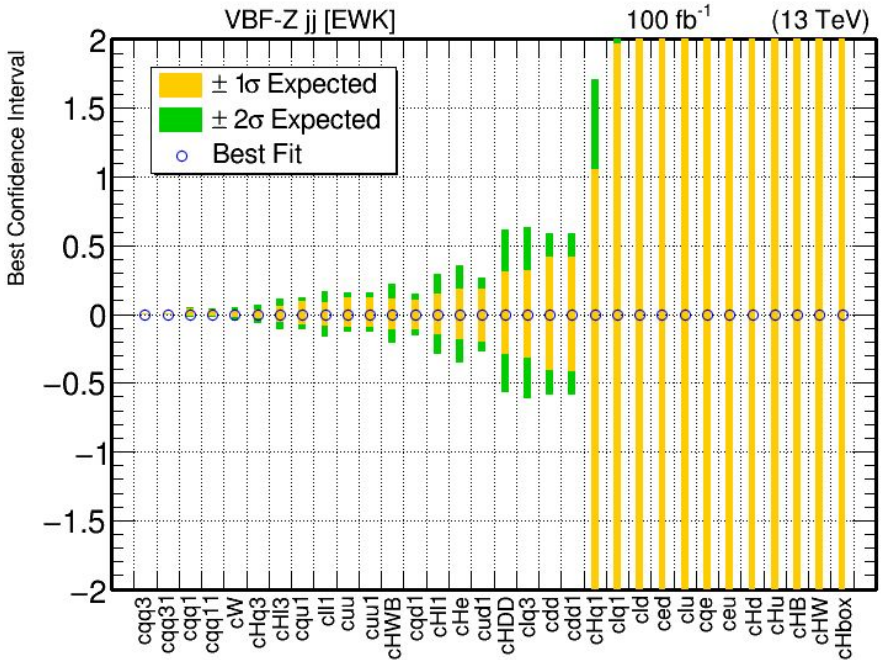
**Sensitivity** estimated as:  
68% c.l.:  $-2\Delta\log L < 2.30$   
95% c.l.:  $-2\Delta\log L < 5.99$

Ranking the **variables** wrt to 1  $\sigma$  range (area).

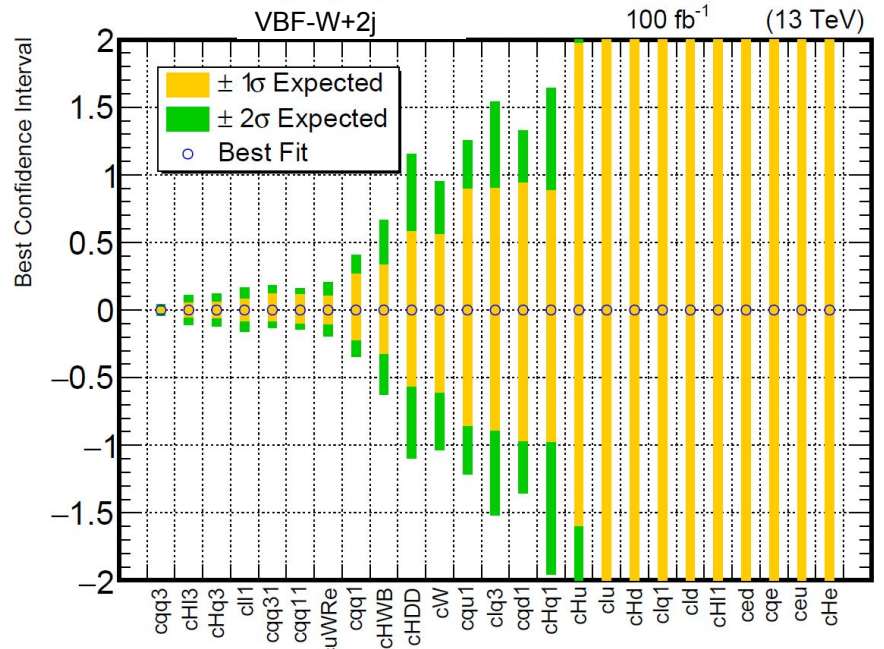
$$\mathcal{L}(c) = \prod_{bin=k} \frac{(N_k(c))^{n_k}}{n_k!} e^{-N_k(c)} \times \prod_{syst=j} \pi(\tilde{\theta}|\theta)$$

# 1D Results: sensitivity

Z + 2j channel **more sensitive** than W+2j



Between  $Q_{qq}^{(3)}$  and  $Q_{He}$  there are **seven orders** of magnitude difference in terms of sensitivity. Highlighting operators to which VBF-V channels are more sensitive put basis toward **LHC data analysis!** → final goal

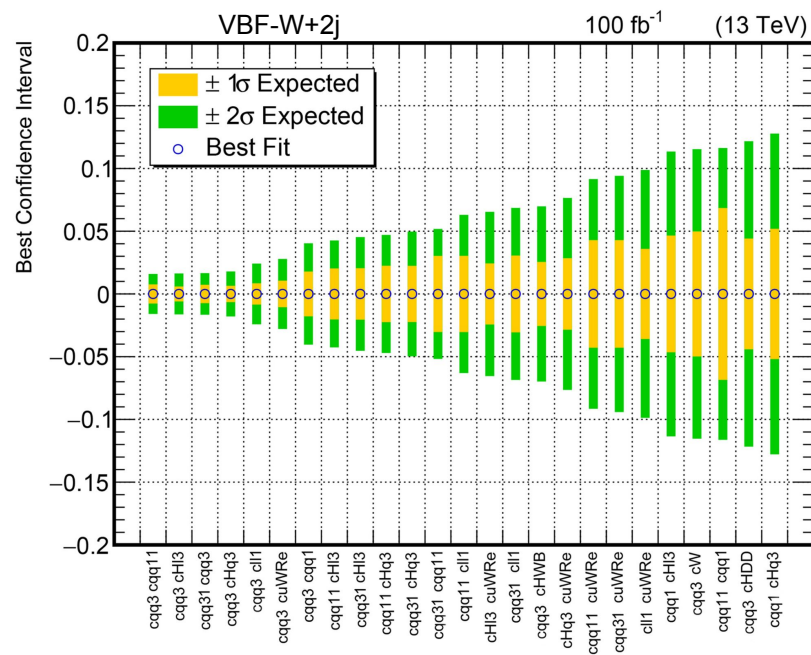
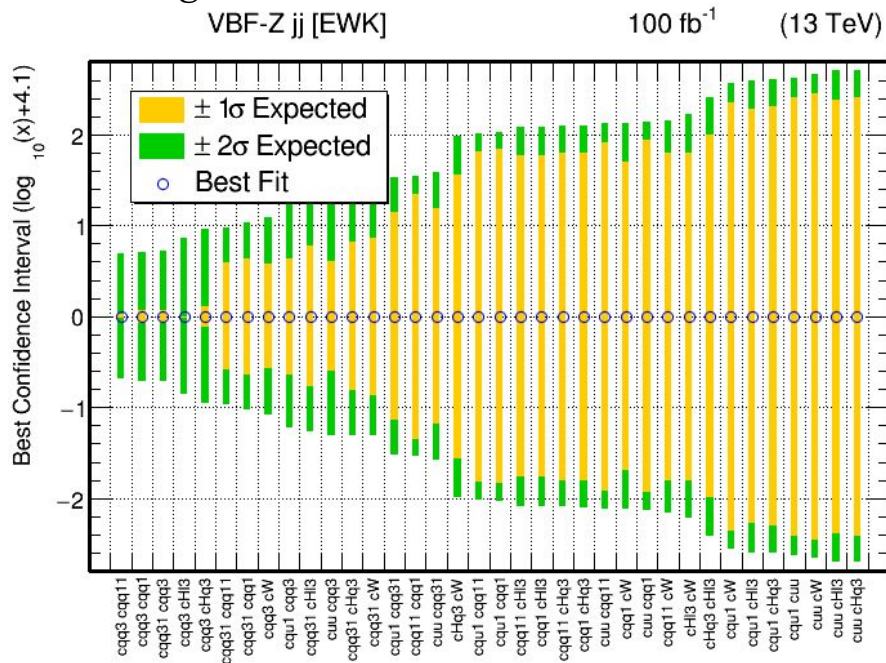


Most stringent constraints are on **4-fermions operators**

# 2D results: sensitivity

2D scan: 2 Wilson coefficients at time, all possible pairs tried with all possible variables.

Ranking wrt **area** of contour at  $1\sigma$ .



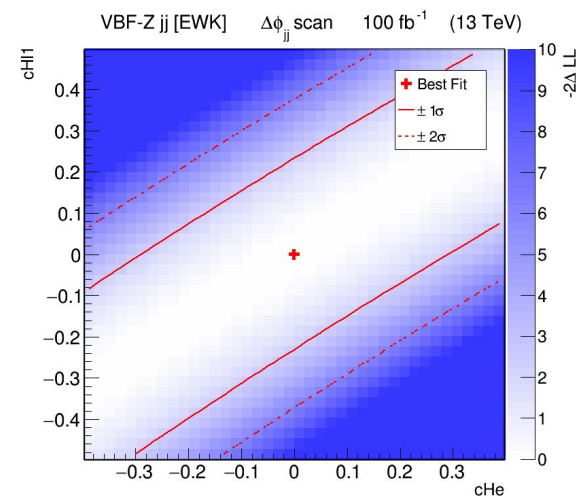
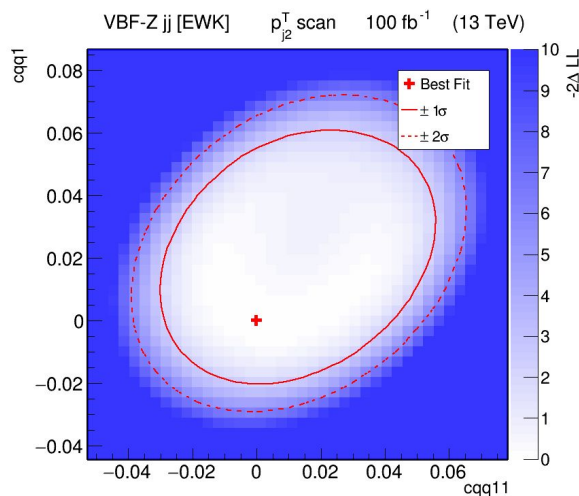
Most stringent constraints include **4-fermions operators**

# 2D EFT studies: correlation

From 2D likelihood scan:

- **Area** (previous slide) → **sensitivity** and create ranking of most constrained operators (as for 1D case)
- **Shape** of the contour → indicate:
  - possible correlation between operators
  - **flat directions**

Useful info for **N-dimensional** studies:  
flat directions must be avoided, since make fit fail!  
Indication of **STRONG** correlation.



# Summary of results and outlook

VBF-V channels are good candidate to put constraints on **dimension 6 operators**:

- in particular 4-fermions and  $Vff$

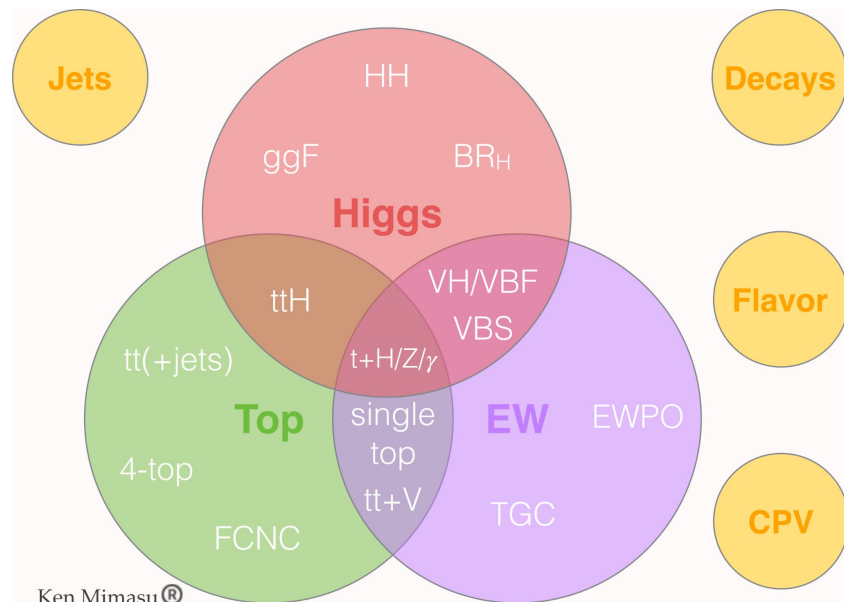
Inclusion of **QCD** background:

- EFT dependence of the QCD induced sample ( $\mathcal{O}(\alpha^2\alpha_s^2)$ ) never weakens the sensitivity, as shown in [VBS EFT paper](#).

**Combination:**

- of VBF-V channels,  $Z+2j$  and  $W+2j \rightarrow$  to put tighter constraint (as shown in 2016 CMS [reco analysis](#))
- with other VBS and triboson channels:  
→ Towards **global EFT** combination in LHC!

These LHE preliminary results are the inputs pointing towards an **LHC data analysis**, including all background, detector effects and systematic uncertainties.



# Backup

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# Analysis framework

Comprehensive **framework** developed and maintained in **Milano-Bicocca**:  
from generations of events to datacard creation and fitting model!

Ntuples and LHE generation **framework**:

<https://github.com/UniMiBAnalyses/D6EFTStudies>

Post-processing, QCD merging, and shape maker based on:

<https://github.com/GiacomoBoldrini/D6tomkDatacard>



# Dimension 6 operators in SMEFT

Bosons and 2 fermions operators

4 fermions operators

$X^3$		$\varphi^6$ and $\varphi^4 D^2$		$\psi^2 \varphi^3$	
$Q_G$	$f^{ABC} G_\mu^{AV} G_\nu^{B\rho} G_\rho^{C\mu}$	$Q_\varphi$	$(\varphi^\dagger \varphi)^3$	$Q_{e\varphi}$	$(\varphi^\dagger \varphi)(\bar{l}_p e_r \varphi)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_\mu^{AV} G_\nu^{B\rho} G_\rho^{C\mu}$	$Q_{\varphi\Box}$	$(\varphi^\dagger \varphi)\Box(\varphi^\dagger \varphi)$	$Q_{u\varphi}$	$(\varphi^\dagger \varphi)(\bar{q}_p u_r \varphi)$
$Q_W$	$\varepsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$	$Q_{\varphi D}$	$(\varphi^\dagger D^\mu \varphi)^* (\varphi^\dagger D_\mu \varphi)$	$Q_{d\varphi}$	$(\varphi^\dagger \varphi)(\bar{q}_p d_r \varphi)$
$Q_{\tilde{W}}$	$\varepsilon^{IJK} \tilde{W}_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$				
$X^2 \varphi^2$		$\psi^2 X \varphi$		$\psi^2 \varphi^2 D$	
$Q_{\varphi G}$	$\varphi^\dagger \varphi G_{\mu\nu}^A G^{A\mu\nu}$	$Q_{eW}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi l}^{(1)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{l}_p \gamma^\mu l_r)$
$Q_{\varphi \tilde{G}}$	$\varphi^\dagger \varphi \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$	$Q_{eB}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) \varphi B_{\mu\nu}$	$Q_{\varphi l}^{(3)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu^I \varphi)(\bar{l}_p \tau^I \gamma^\mu l_r)$
$Q_{\varphi W}$	$\varphi^\dagger \varphi W_{\mu\nu}^I W^{I\mu\nu}$	$Q_{uC}$	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{\varphi} G_{\mu\nu}^A$	$Q_{\varphi e}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{e}_p \gamma^\mu e_r)$
$Q_{\varphi \tilde{W}}$	$\varphi^\dagger \varphi \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$	$Q_{uW}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{\varphi} W_{\mu\nu}^I$	$Q_{\varphi q}^{(1)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{q}_p \gamma^\mu q_r)$
$Q_{\varphi B}$	$\varphi^\dagger \varphi B_{\mu\nu} B^{\mu\nu}$	$Q_{uB}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{\varphi} B_{\mu\nu}$	$Q_{\varphi q}^{(3)}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu^I \varphi)(\bar{q}_p \tau^I \gamma^\mu q_r)$
$Q_{\varphi \tilde{B}}$	$\varphi^\dagger \varphi \tilde{B}_{\mu\nu} B^{\mu\nu}$	$Q_{dG}$	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) \varphi G_{\mu\nu}^A$	$Q_{\varphi u}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{u}_p \gamma^\mu u_r)$
$Q_{\varphi WB}$	$\varphi^\dagger \tau^I \varphi W_{\mu\nu}^I B^{\mu\nu}$	$Q_{dW}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi d}$	$(\varphi^\dagger i \overleftrightarrow{D}_\mu \varphi)(\bar{d}_p \gamma^\mu d_r)$
$Q_{\varphi \tilde{W}B}$	$\varphi^\dagger \tau^I \varphi \tilde{W}_{\mu\nu}^I B^{\mu\nu}$	$Q_{dB}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) \varphi B_{\mu\nu}$	$Q_{\varphi ud}$	$i(\tilde{\varphi}^\dagger D_\mu \varphi)(\bar{u}_p \gamma^\mu d_r)$

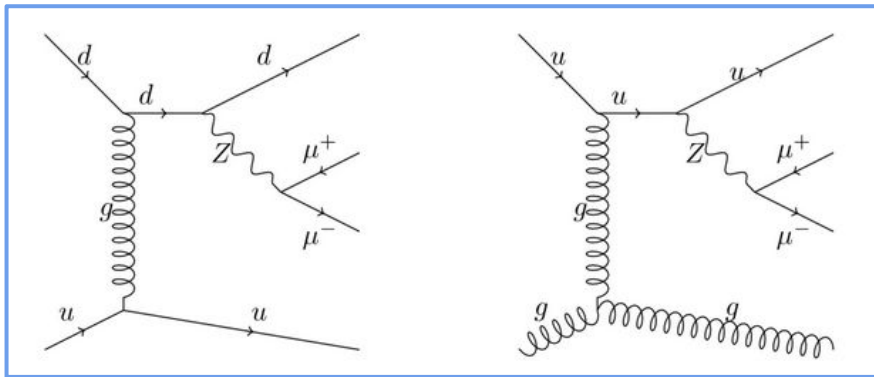
$(\bar{L}L)(\bar{L}L)$		$(\bar{R}R)(\bar{R}R)$		$(\bar{L}L)(\bar{R}R)$	
$Q_{ll}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	$Q_{ee}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	$Q_{le}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{uu}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{lu}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{dd}$	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{ld}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{eu}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{qe}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{ed}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$
				$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$
$(\bar{L}R)(\bar{R}L)$ and $(\bar{L}R)(\bar{L}R)$		B-violating			
$Q_{ledq}$	$(\bar{l}_p^c e_r)(\bar{d}_s^c q_t^c)$	$Q_{duq}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jkl} [(d_p^\alpha)^T C u_r^\beta] [(q_s^\gamma)^T C l_t^k]$		
$Q_{quqd}^{(1)}$	$(\bar{q}_p^c u_r) \varepsilon_{jk} (\bar{q}_s^k d_t)$	$Q_{ququ}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jkl} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(u_s^\gamma)^T C e_t]$		
$Q_{quqd}^{(8)}$	$(\bar{q}_p^c T^A u_r) \varepsilon_{jk} (\bar{q}_s^k T^A d_t)$	$Q_{qqqq}$	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jkl} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(q_s^\gamma)^T C l_t^l]$		
$Q_{lequ}^{(1)}$	$(\bar{l}_p^c e_r) \varepsilon_{jk} (\bar{q}_s^k u_t)$	$Q_{duuu}$	$\varepsilon^{\alpha\beta\gamma} [(d_p^\alpha)^T C u_r^\beta] [(u_s^\gamma)^T C e_t]$		
$Q_{lequ}^{(3)}$	$(\bar{l}_p^c \sigma_{\mu\nu} e_r) \varepsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$				

Warsaw basis

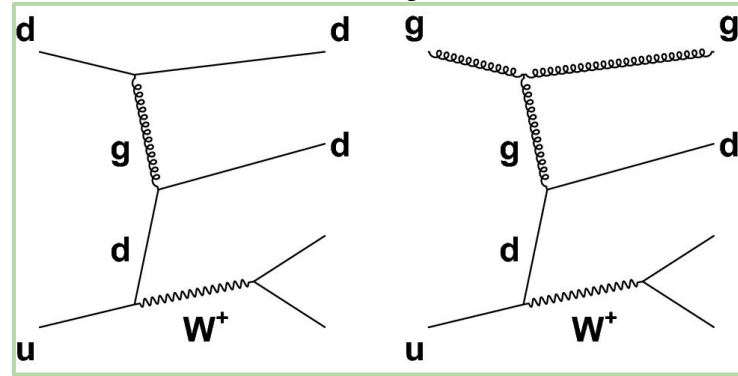
# Irreducible background

Irreducible bkg for VBF-V are all diagrams involving **QCD** interactions leading to same final state. They are of order  $\mathcal{O}(\alpha^2\alpha_s^2)$  @LO and **interfere** with the EW signal.

**Z+2j**



**W+2j**



# W+2j: operators and best observable

**Best** observables are usually **jet** related ones.

Between  $Q_{qq}^{(3)}$  and  $Q_{He}$  there are **seven orders** of difference in terms of sensitivity.

→ Strong indication for a possible additional study at the reco level!

Operator	Best variable	68% CL interval	95% CL interval
$Q_{qq}^{(3)}$	$m_{jj}$	[-0.021,0.022]	[-0.041,0.043]
$Q_{HI}^{(3)}$	$\eta_{j^2}$	[-0.056,0.055]	[-0.110,0.107]
$Q_{Hq}^{(3)}$	$\eta_{j^1}$	[-0.061,0.062]	[-0.119,0.121]
$Q_{ll}^{(1)}$	$p_{T,j^2}$	[-0.083,0.083]	[-0.161,0.164]
$Q_{qq}^{(3,1)}$	$\eta_{j^1}$	[-0.083,0.121]	[-0.133,0.183]
$Q_{qq}^{(1,1)}$	$\eta_{l^1}$	[-0.099,0.114]	[-0.143,0.158]
$Q_{uWR_e}$	$\eta_{j^2}$	[-0.101,0.102]	[-0.196,0.203]
$Q_{qq}^{(1)}$	$\eta_{j^1}$	[-0.220,0.267]	[-0.346,0.406]
$Q_{HWB}$	$\eta_{j^1}$	[-0.323,0.333]	[-0.625,0.665]
$Q_{HDD}$	$\eta_{j^1}$	[-0.566,0.581]	[-1.096,1.156]
$Q_W$	$m_{jj}$	[-0.608,0.561]	[-1.035,0.951]
$Q_{qu}^{(1)}$	$\eta_{j^1}$	[-0.855,0.897]	[-1.213,1.255]
$Q_{lq}^{(3)}$	$ \Delta\phi_{jj} $	[-0.889,0.902]	[-1.518,1.542]
$Q_{qd}^{(1)}$	$\eta_{j^2}$	[-0.966,0.939]	[-1.354,1.327]
$Q_{Hq}^{(1)}$	$p_{T,j^2}$	[-0.974,0.882]	[-1.955,1.641]
$Q_{Hu}^{(1)}$	$\eta_{j^1}$	[-1.595,1.973]	[-2.452,2.890]
$Q_{lu}$	$\eta_{l^1}$	[-2.151,2.137]	[-3.017,3.003]
$Q_{Hd}$	$p_{T,j^2}$	[-2.834,2.244]	[-3.883,3.288]
$Q_{lq}^{(1)}$	$\eta_{l^1}$	[-4.489,4.084]	[-6.453,6.012]
$Q_{ld}$	$p_{T,j^2}$	[-10.358,10.974]	[-14.661,15.278]
$Q_{HI}^{(1)}$	$\eta_{l^1}$	[-52,45]	[-100,81]
$Q_{ed}$	$m_{jj}$	[-109,111]	[-154,156]
$Q_{qe}$	$m_{jj}$	[-132,130]	[-185,184]
$Q_{eu}$	$ \Delta\eta_{jj} $	[-1438,1439]	[-2019,2020]
$Q_{He}$	$ \Delta\eta_{jj} $	[-81429,80881]	[-160086,157980]

# Variables ranking

Variables are sorted wrt to their 1 sigma interval (or area in the 2D case).

