

From SuperMAG to SNIPE Hunt: Using the Earth to search for ultralight dark matter



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on behalf of the SNIPE Hunt Collaboration



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Based on arXiv:2106.00022, 2108.08852, 2112.09620, 2306.11575, and forthcoming publication

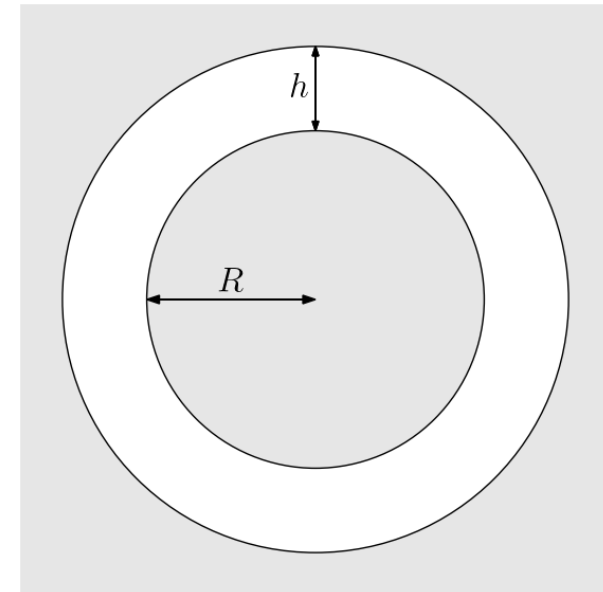
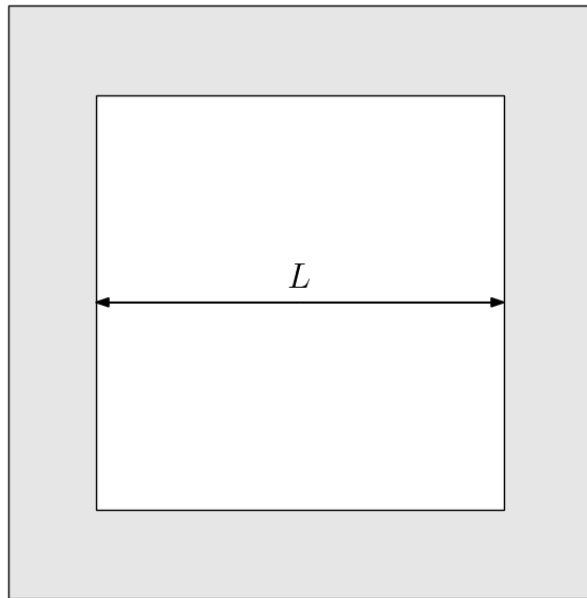
Earth as a transducer

- Shielded/cavity experiments search for ultralight EM-coupled DM:
 - Kinetically mixed dark photon
 - Axionlike particle
- Signal scales with size of apparatus
- DPDM constraints below 10^{-14} eV (sub-Hz) all astrophysical
- We use the Earth as our apparatus/transducer!
- Ultralight DM \rightarrow oscillating magnetic field at Earth's surface

Earth as a transducer

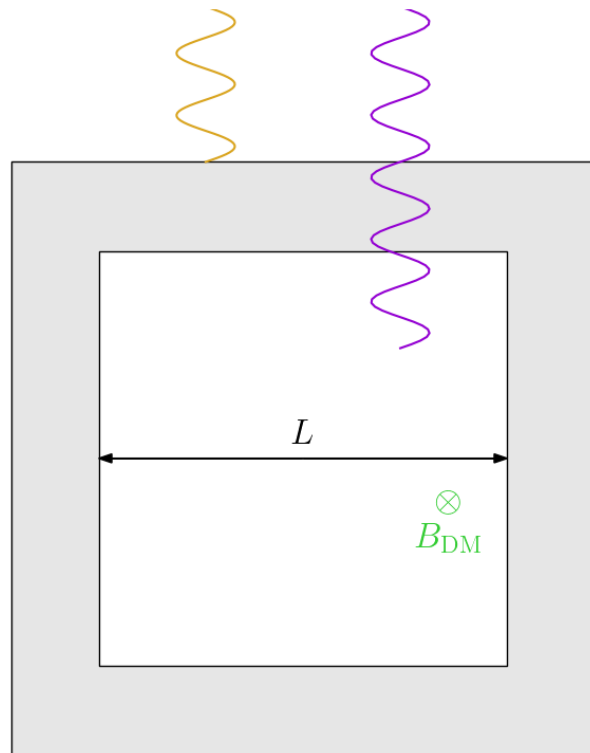
DM Radio/ADMX

Earth

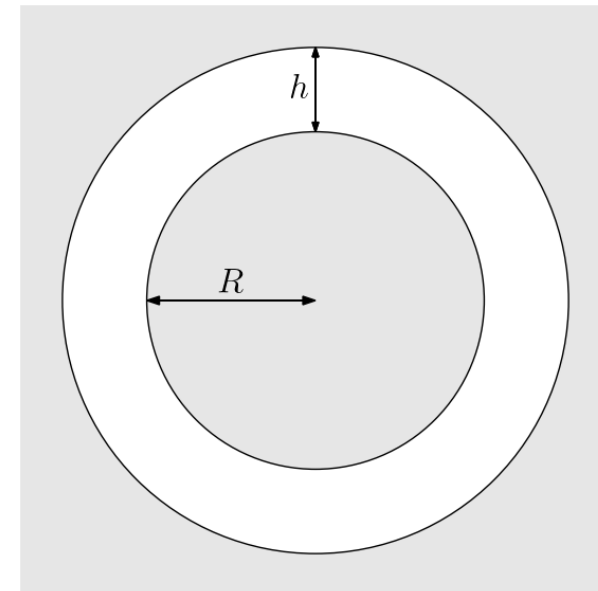


Earth as a transducer

DM Radio/ADMX

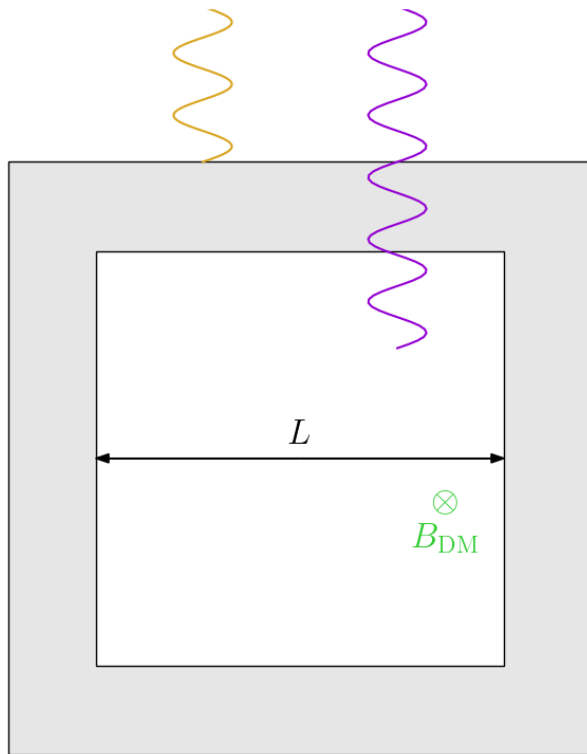


Earth



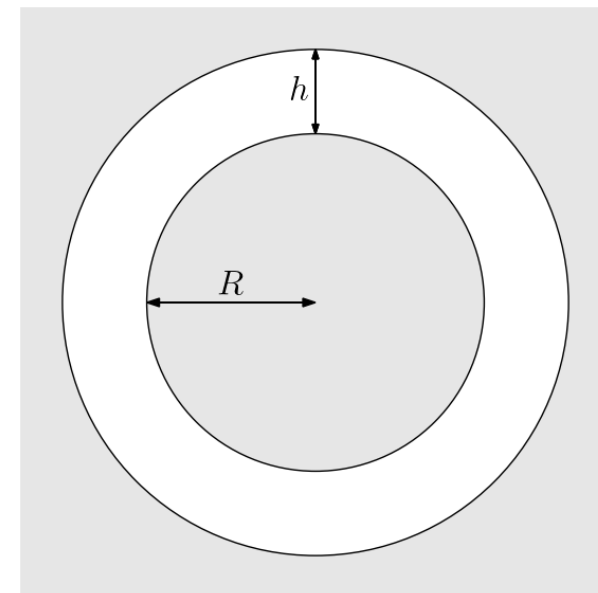
Earth as a transducer

DM Radio/ADMX



Scales with L

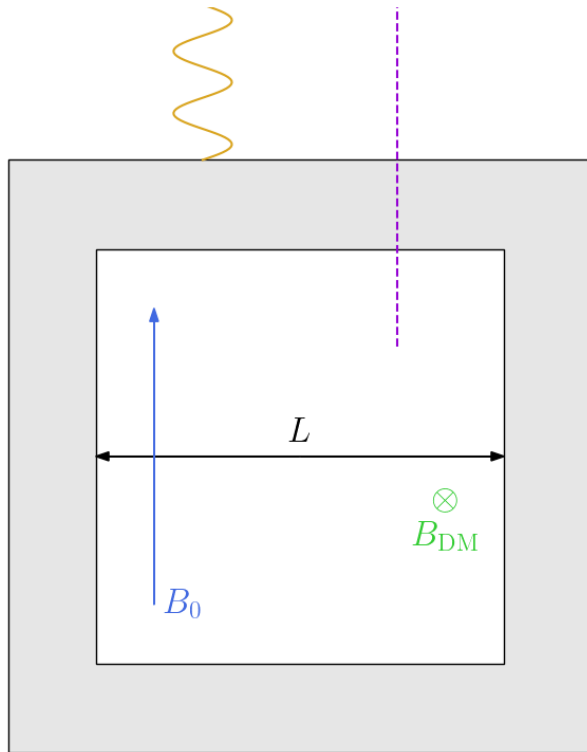
Earth



Scales with R

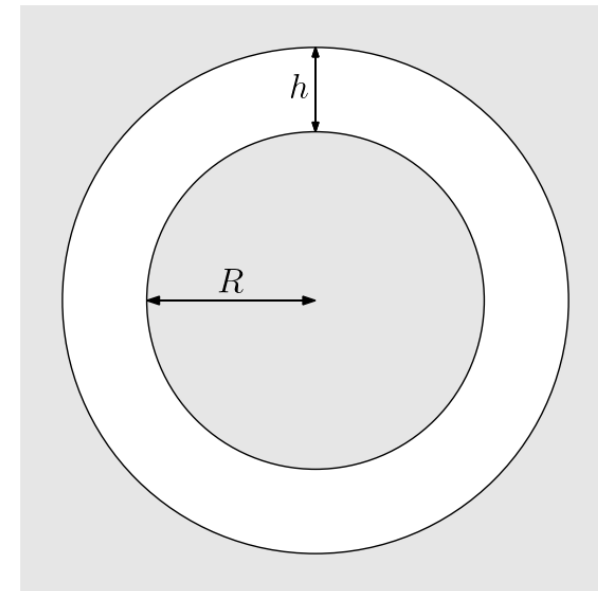
Earth as a transducer

DM Radio/ADMX



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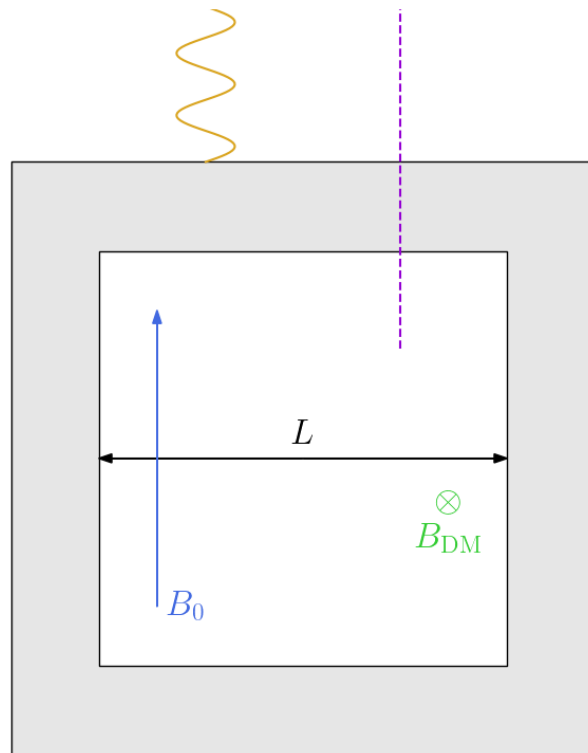
Earth



Scales with R

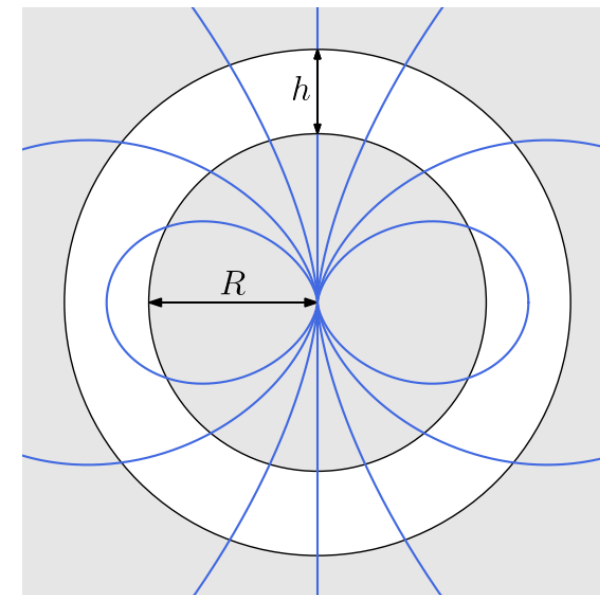
Earth as a transducer

DM Radio/ADMX



Scales with L

Earth



Scales with R

Effective current

- In non-relativistic limit, effects of ultralight DM given by

$$\nabla \times \mathbf{B} - \partial_t \mathbf{E} = \mathbf{J}_{\text{eff}}$$

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- For axionlike dark matter, $\mathbf{J}_{\text{eff}} = ig_{a\gamma} m_a a \mathbf{B}_0$

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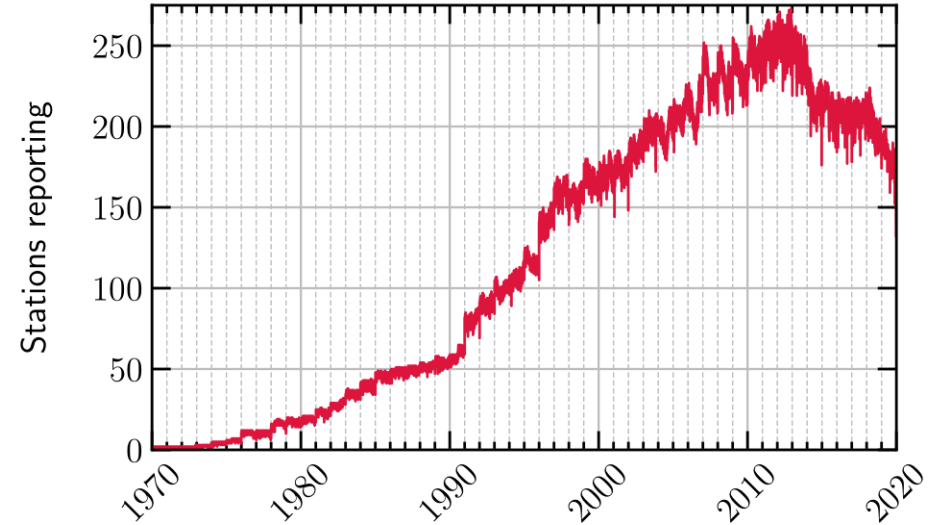
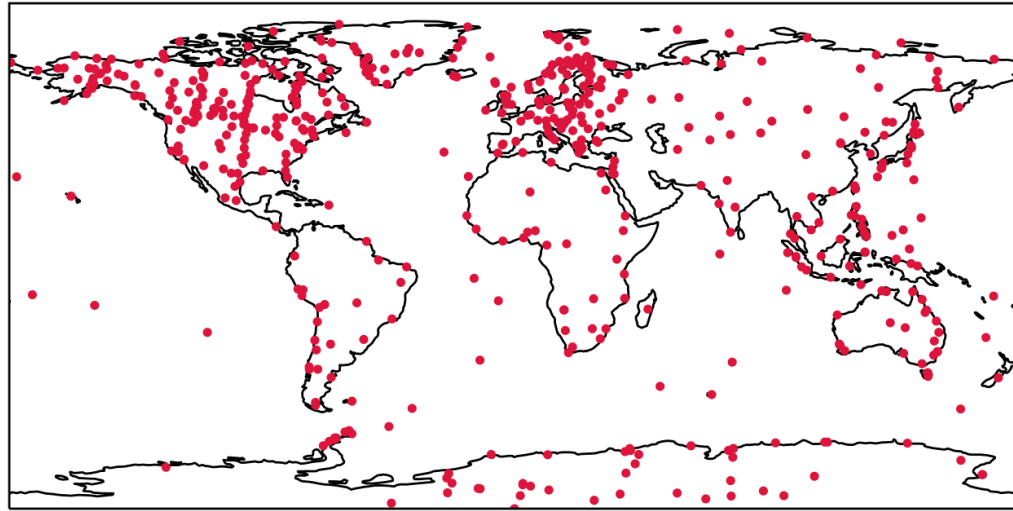
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- For axionlike dark matter, $\mathbf{J}_{\text{eff}} = ig_{a\gamma} m_a a \mathbf{B}_0$
- When $\lambda_{\text{DM}} \gg R$, electric field negligible \rightarrow only magnetic field signal
- Robustness: for arbitrary boundary conditions

$$\mathbf{B} = \mathbf{B}_{\text{sph}} + \text{curl-free}$$

Can project out curl-free part

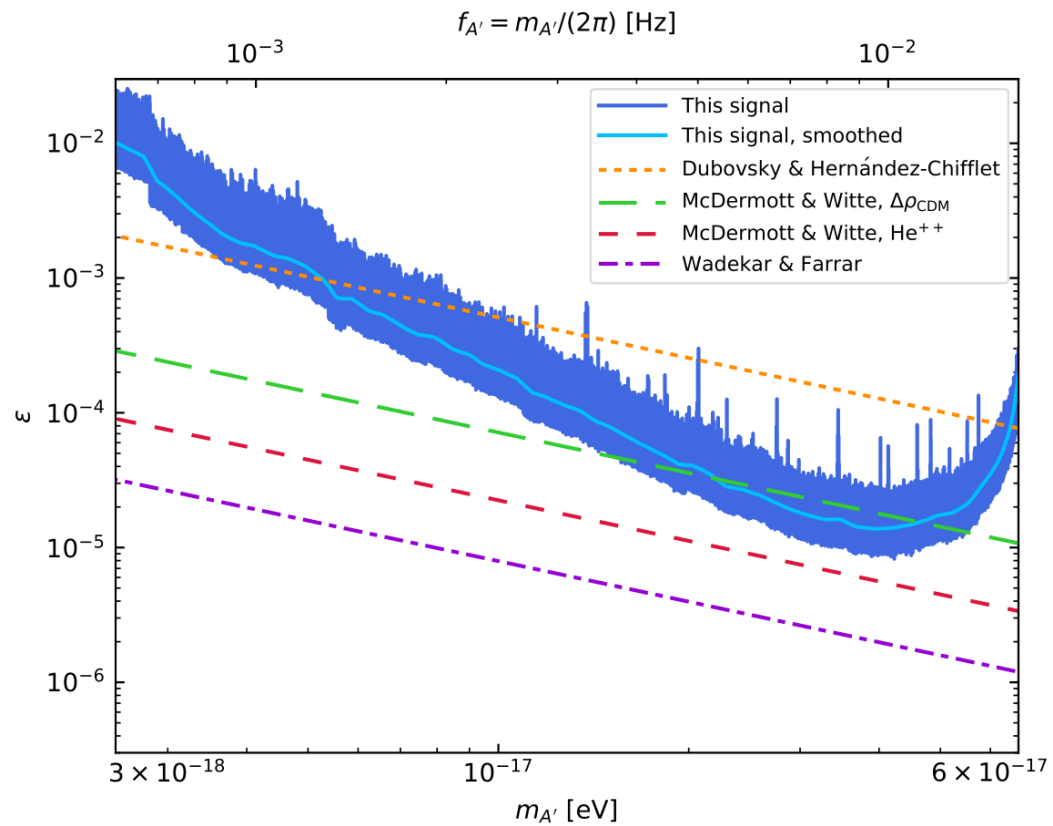
Search in SuperMAG dataset



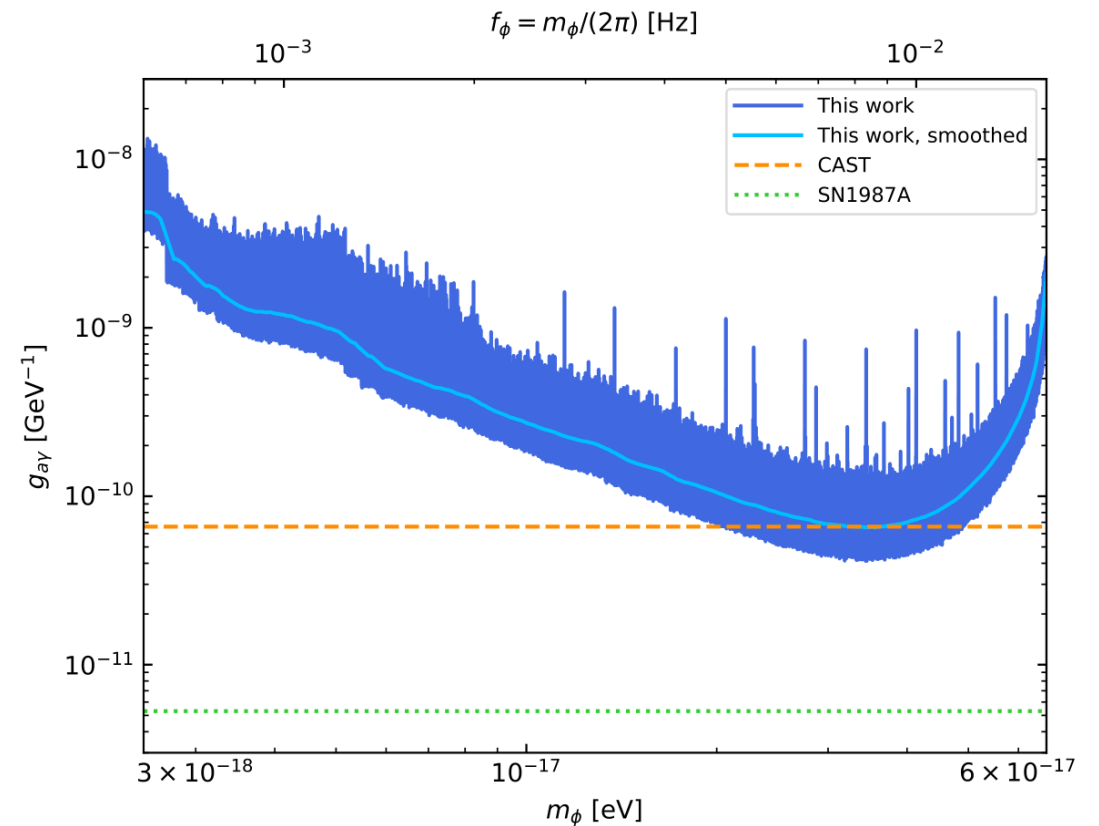
- Signal is spatially coherent → 500+ ground-based magnetometers
- Signal is temporally coherent → 50 years of data
- 1-minute resolution

SuperMAG 1-minute limits

Dark photon



Axion



Going to higher frequencies

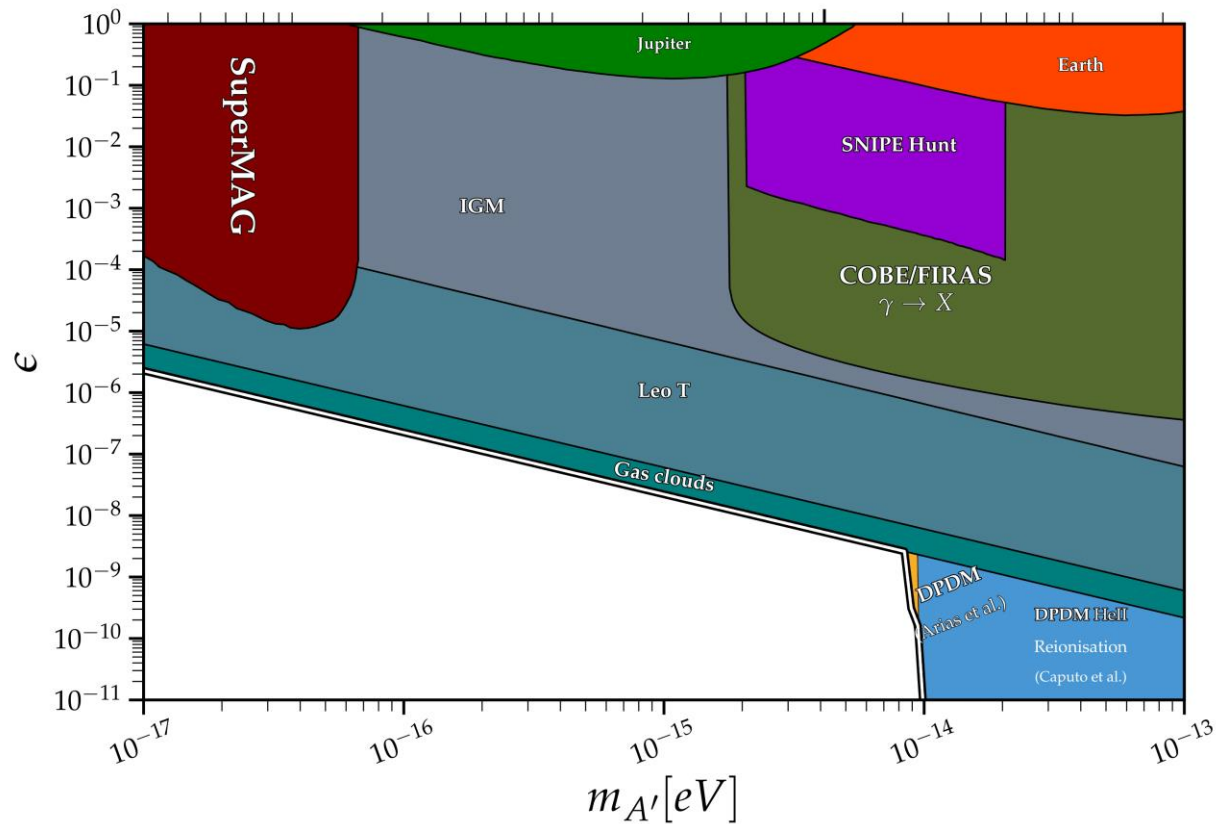
- $10^{-2} \text{ Hz} < f_{\text{DM}} < 1 \text{ Hz}$: SuperMAG 1-second resolution dataset

Going to higher frequencies

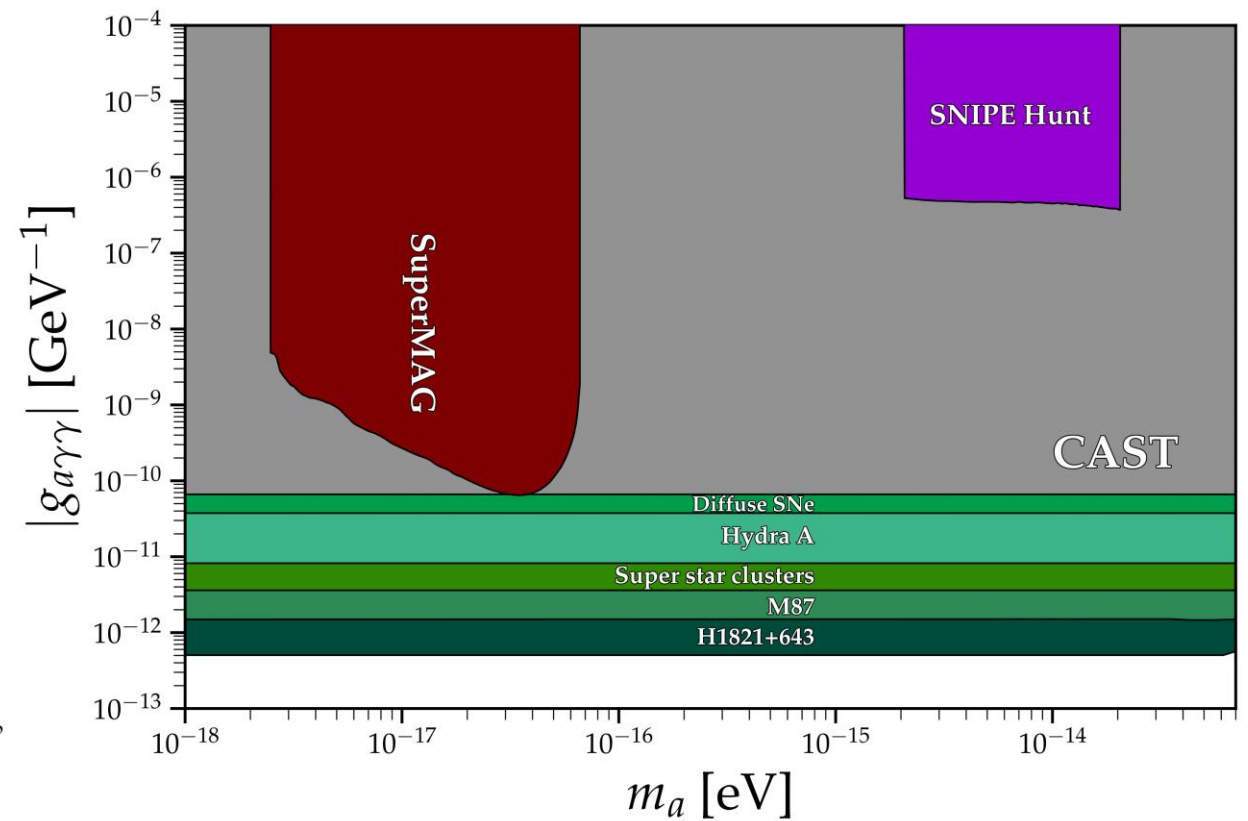
- $10^{-2} \text{ Hz} < f_{\text{DM}} < 1 \text{ Hz}$: SuperMAG 1-second resolution dataset
- $f_{\text{DM}} > 1 \text{ Hz}$: Search for Non-Interacting Particles Experimental (SNIPE) Hunt
 - Take our own data above 1 Hz
 - Most noise is man-made → go to radio quiet area, e.g. state park
 - SNIPE Hunt summer 2022 run: collected data at three locations (CA, PA, OH) over 2.5 days
 - Magnetometer noise limited

SNIPE Hunt 2022 limits

Dark photon



Axion



New technique

- Above 5 Hz, $\lambda_{\text{DM}} \lesssim R \rightarrow$ no robustness, environmental effects relevant
- Ex: Signal diverges at Schumann resonances $m_{\text{DM}}R = \sqrt{\ell(\ell + 1)}$
 - Predicted: 11 Hz, 18 Hz, 26 Hz...
 - Measured: 8 Hz, 14 Hz, 20 Hz...
 - Measured widths as low as 2 Hz
 - Small deviations in location of resonance can lead to large discrepancies in signal size!

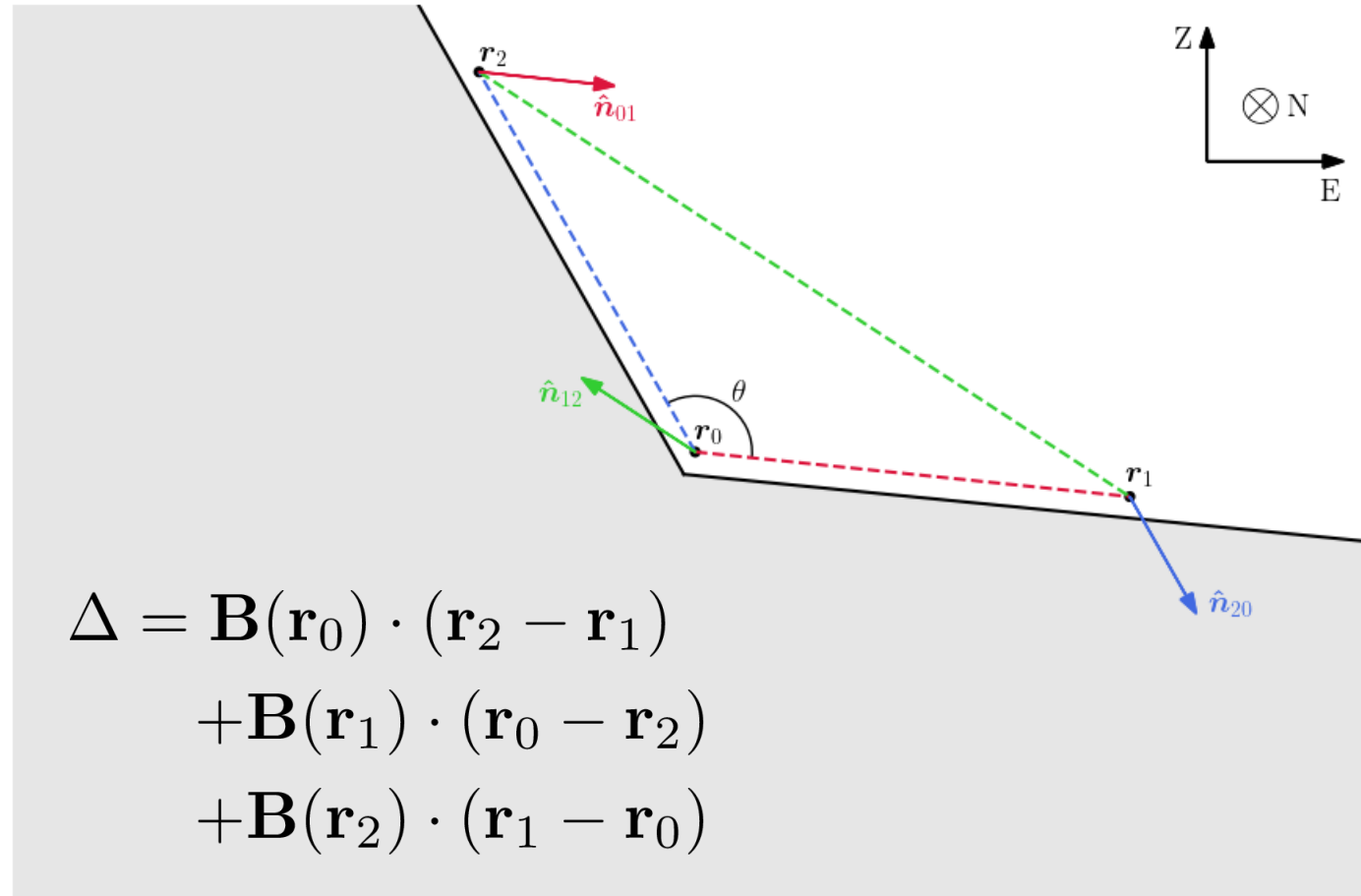
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 - Small deviations in location of resonance can lead to large discrepancies in signal size!
- Because the ground is a conductor, we still have $\mathbf{E}_{\parallel} = 0$, so

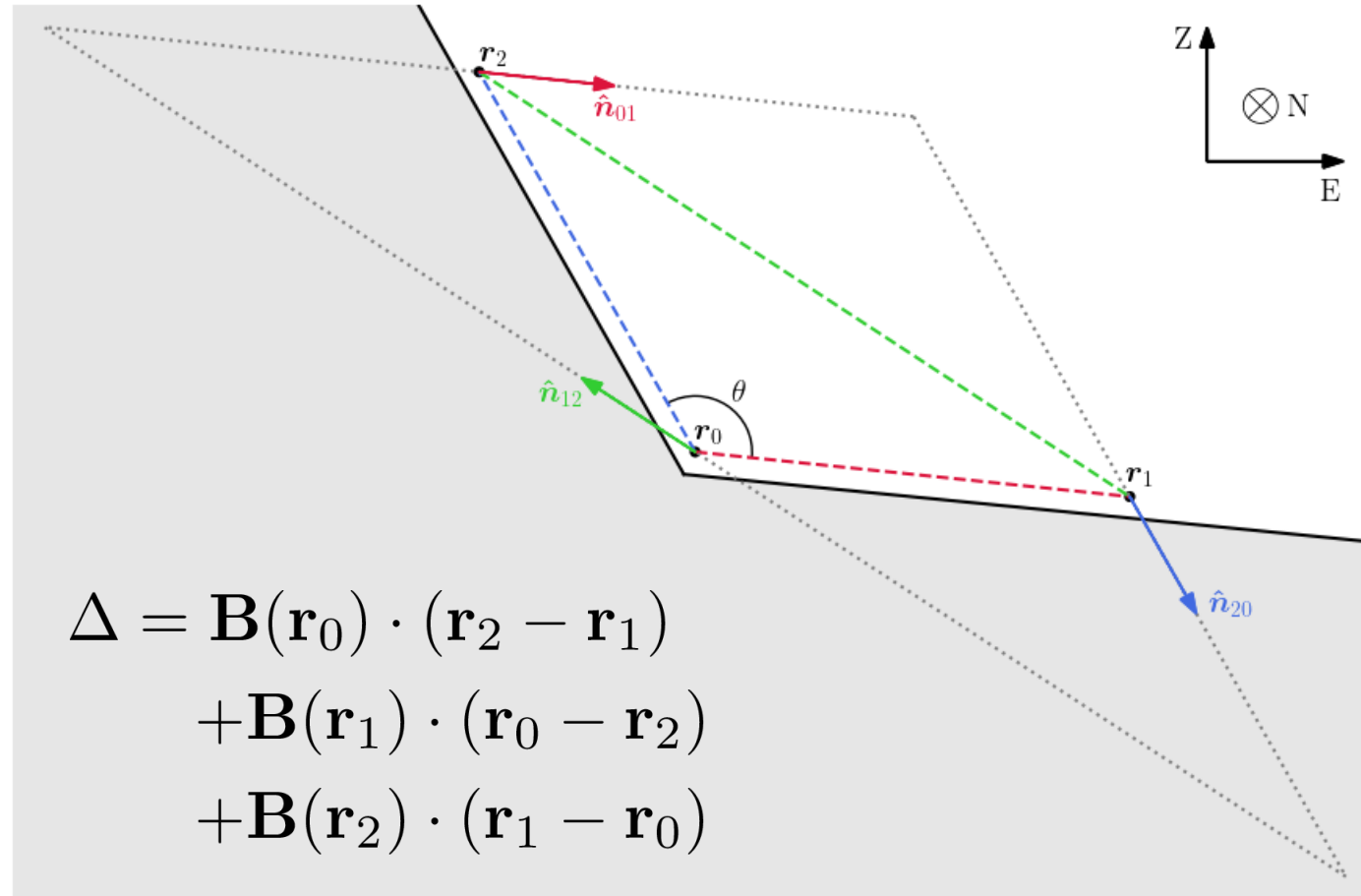
$$(\nabla \times \mathbf{B})_{\parallel} = \mathbf{J}_{\text{eff},\parallel}$$

- We can measure $\nabla \times \mathbf{B}$ instead!
- No physical currents in lower atmosphere \rightarrow background cancellation

Curl measurement scheme

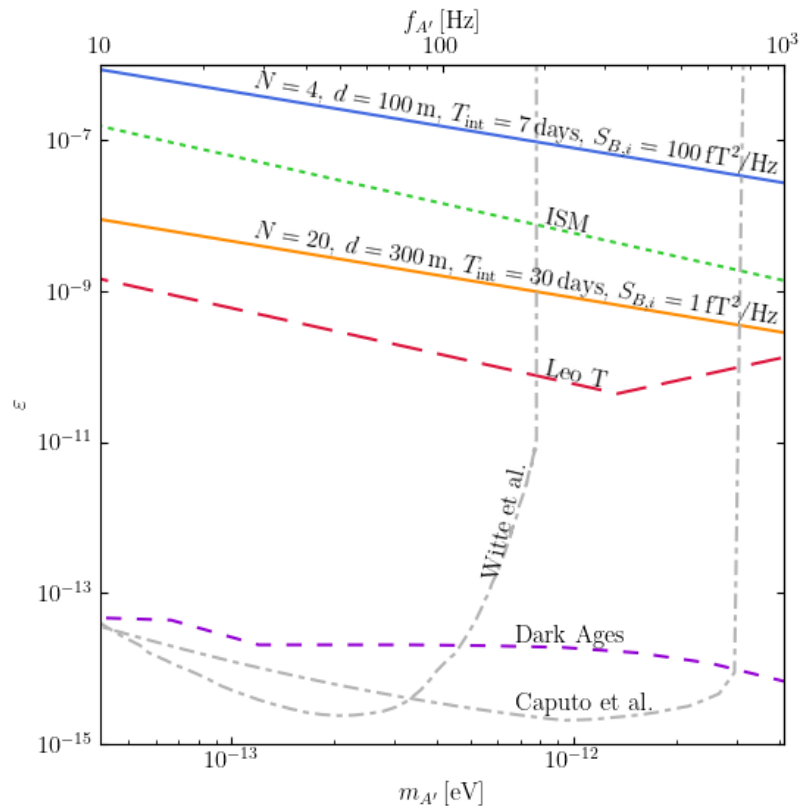


Curl measurement scheme

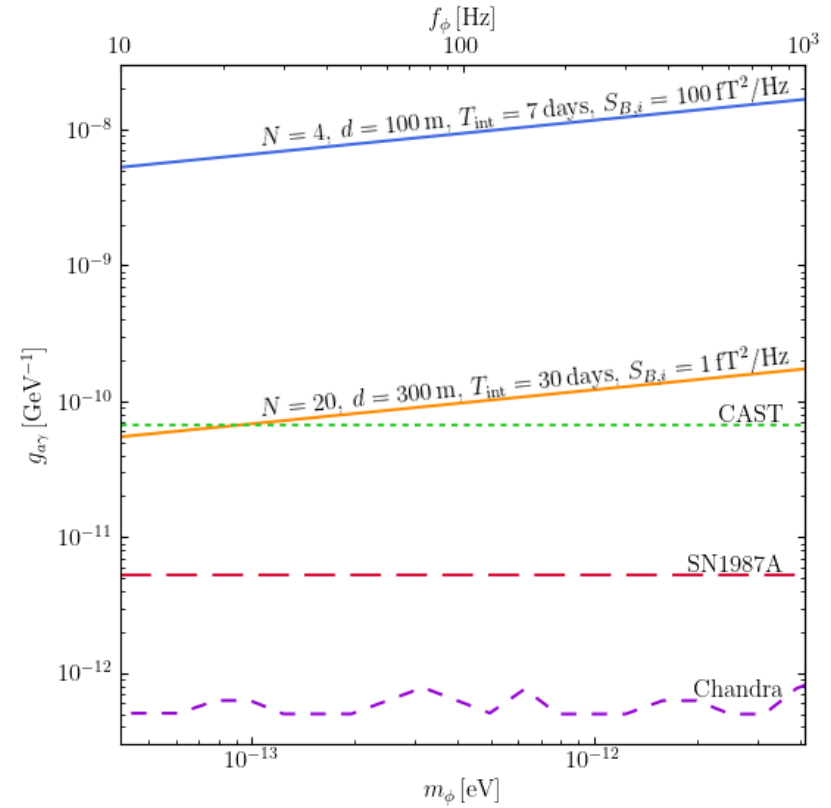


Curl scheme projections

Dark photon



Axion



(Assuming we're magnetometer noise limited)

Conclusion

- Ultralight DM sources an oscillating magnetic field at Earth's surface
- Scales with R , high spatial and temporal coherence
- Searched publicly available SuperMAG dataset to set limits for $f_{\text{DM}} < 10^{-2}$ Hz
- SuperMAG 1-second analysis will constrain 10^{-2} Hz $< f_{\text{DM}} < 1$ Hz
- SNIPE Hunt took data in summer 2022 to constrain 1 Hz $< f_{\text{DM}} < 5$ Hz
- Will implement curl scheme in summer 2023 for $f_{\text{DM}} > 5$ Hz

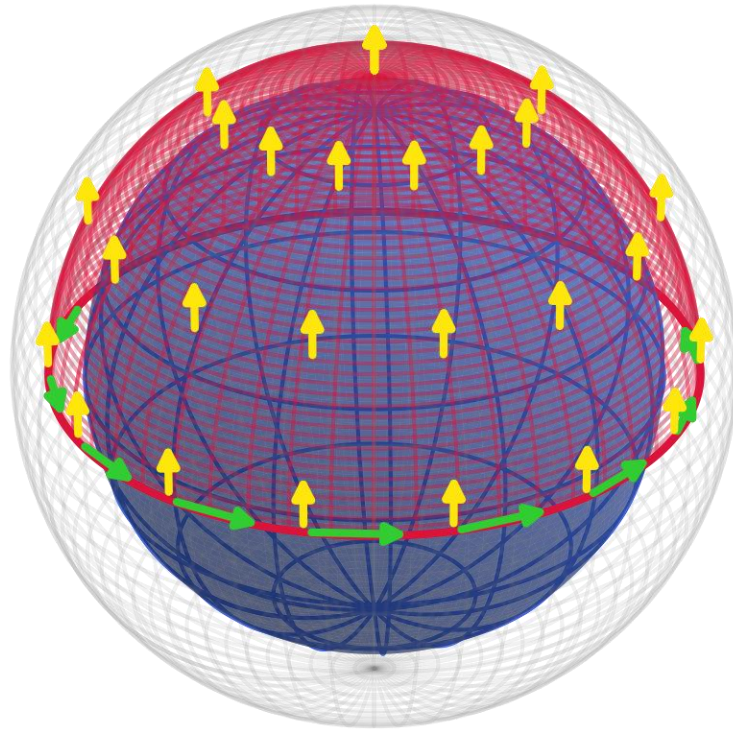
SNIPE Hunt Collaboration

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- Yicheng Wang



Backup Slides

Ampère's law argument

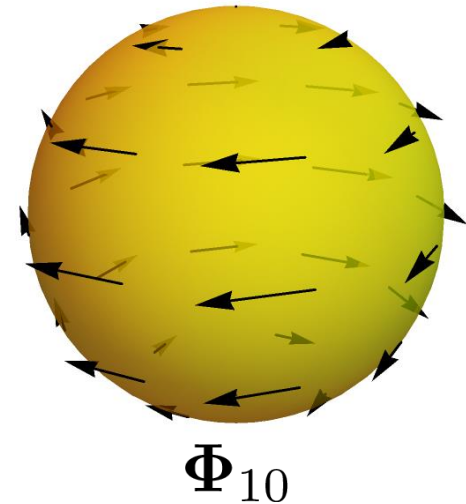


$$BR \sim \oint \mathbf{B} \cdot d\ell = \iint \mathbf{J}_{\text{eff}} \cdot d\mathbf{A} \sim \epsilon m_{A'}^2 R^2 A'$$

Full solutions

$$\mathbf{B}_{A'}(\Omega, t) = \sqrt{\frac{4\pi}{3}} \cdot \frac{m_{A'} R}{2 - (m_{A'} R)^2} \cdot \varepsilon m_{A'} \cdot \operatorname{Re} \left[\sum_{m=-1}^1 A'_m \Phi_{1m}(\Omega) e^{-2\pi i (f_{A'} - f_d m)t} \right]$$

$$\mathbf{B}_a(\Omega, t) = g_{a\gamma} a_0 \cdot \operatorname{Im} \left[\sum_{\ell m} \frac{(\ell + 1) C_{\ell m} m_a R}{\ell(\ell + 1) - (m_a R)^2} \cdot \Phi_{\ell m}(\Omega) e^{-2\pi i f_a t} \right]$$



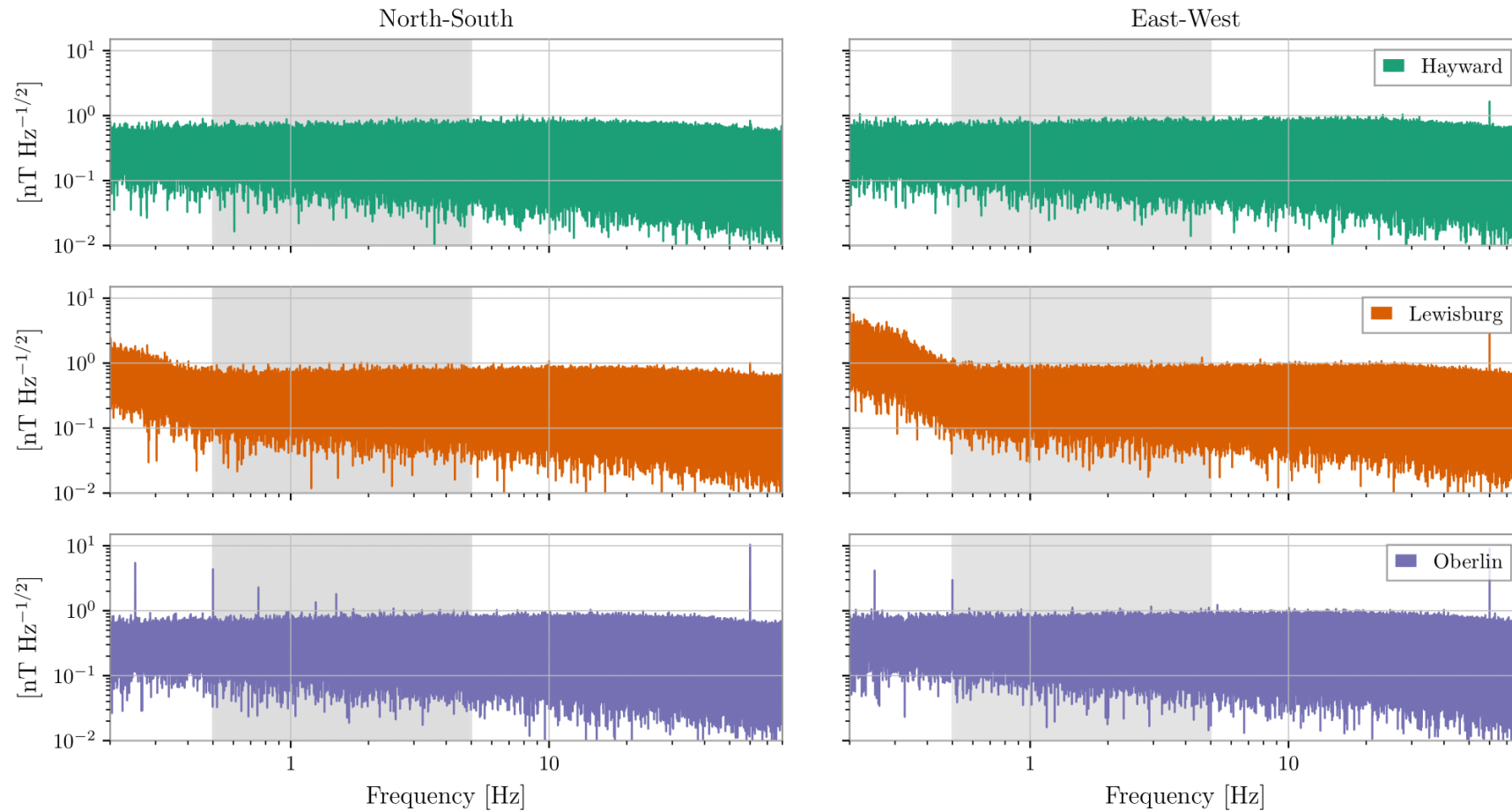
IGRF model

$$\mathbf{B}_{\oplus} = -\nabla V_0$$

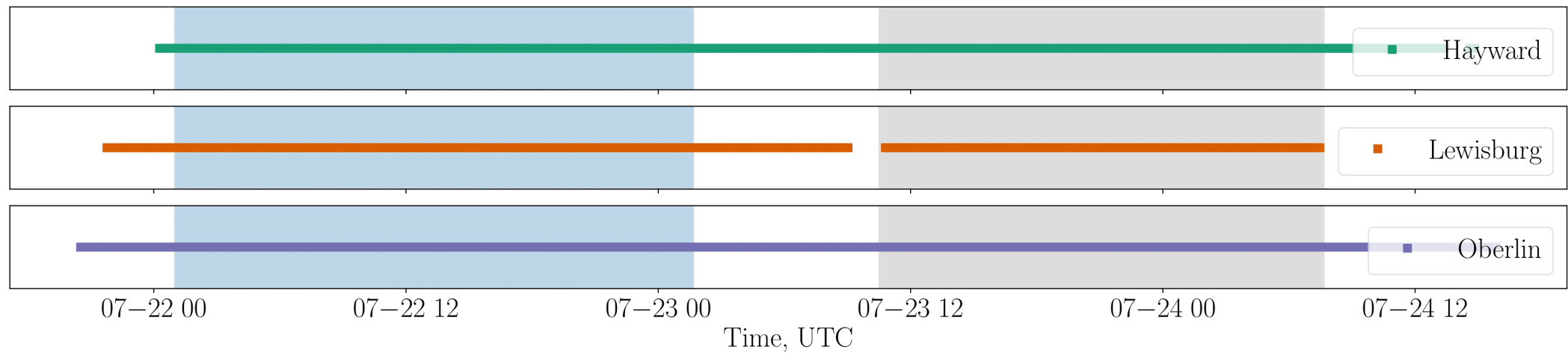
$$V_0 = \sum_{\ell=1}^{\infty} \sum_{m=0}^{\ell} \frac{R^{\ell+2}}{r^{\ell+1}} (g_{\ell m} \cos(m\phi) + h_{\ell m} \sin(m\phi)) P_{\ell}^m(\cos \theta)$$

$$C_{\ell m} = (-1)^m \sqrt{\frac{4\pi(2 - \delta_{m0})}{2\ell + 1}} \frac{g_{\ell m} - ih_{\ell m}}{2}$$

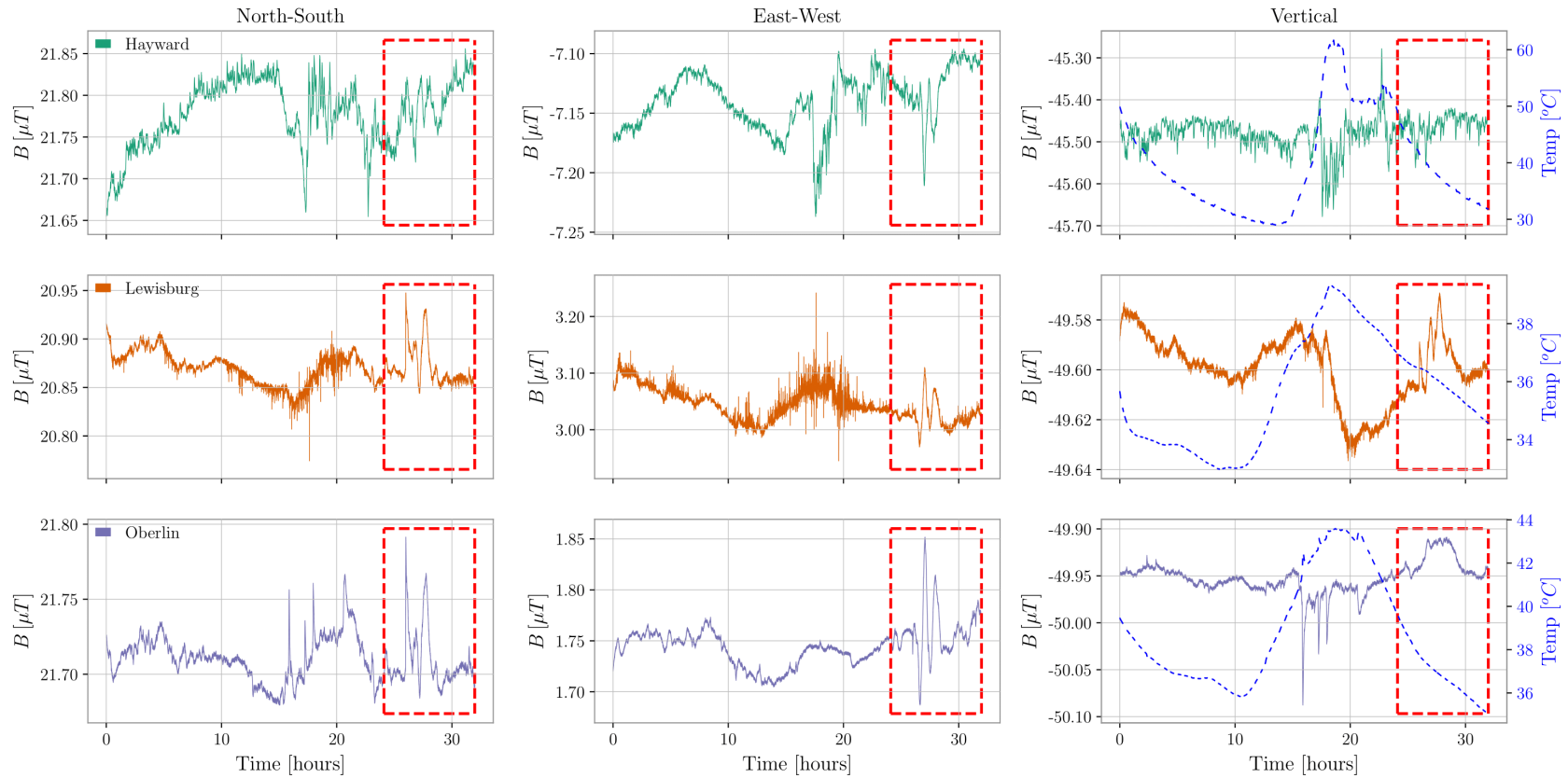
SNIPE Hunt 2022 PSDs



SNIPE Hunt 2022 activity



Geomagnetic storm



Time [hours] from 2022-07-22 00:00:00 UTC (1342483218.0)

Vanishing electric field

