

# Is Cosmic Birefringence model-dependent?

Lu Yin



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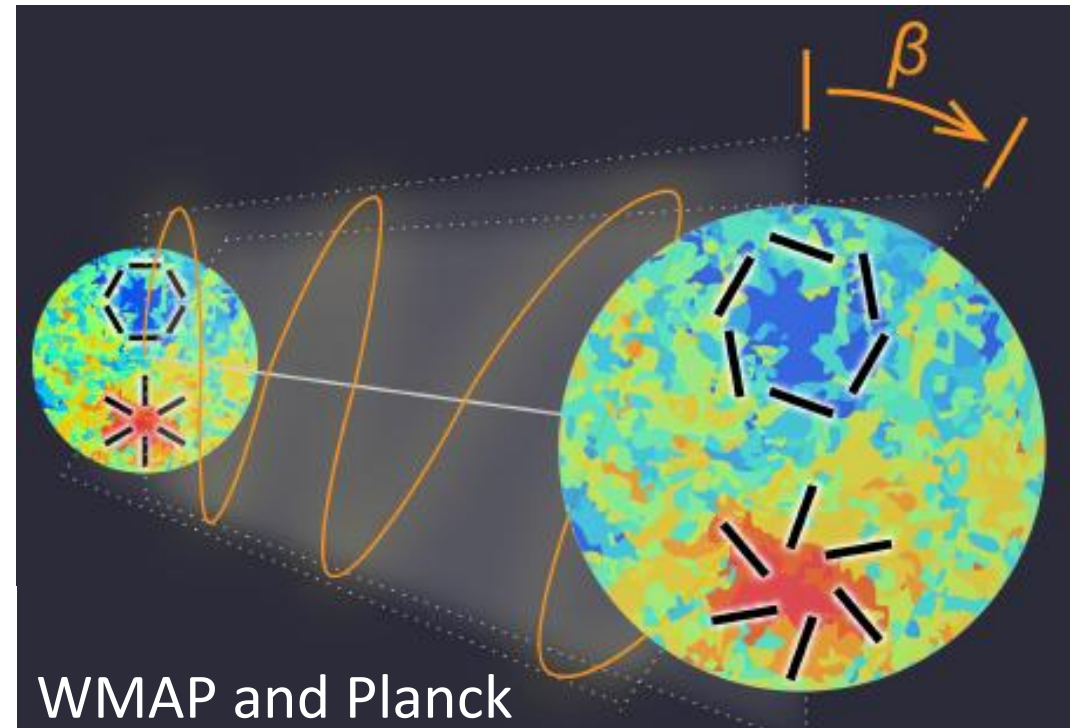
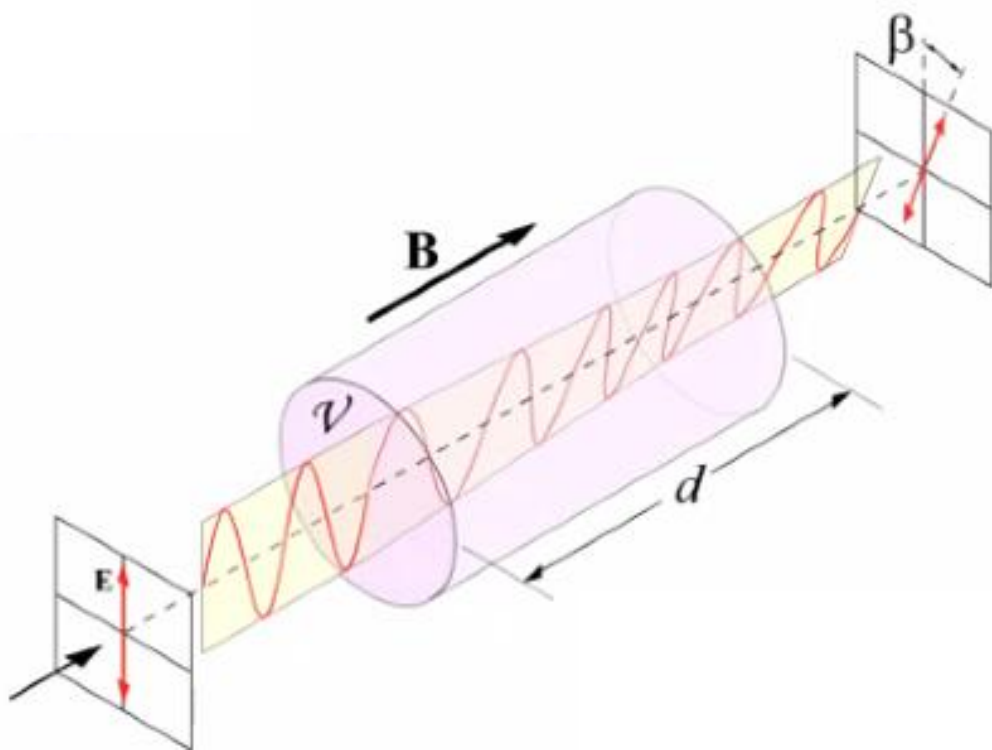
arXiv:2305.07937 [astro-ph.CO]

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# What is Cosmic Birefringence?

The **rotation of the plane** of linear polarization of **photons**



$$\beta = 0.342^\circ \begin{matrix} +0.094^\circ \\ -0.091^\circ \end{matrix} \text{ (68\% C.L.)}$$

3.6 $\sigma$

# Introduction to Cosmic Birefringence

- **Cosmic birefringence** is a **parity-violating** phenomenon, which might indicate the new physics beyond the standard cosmology ( $\Lambda$ CDM).
- Traditional explanation involves an axion coupled to the **EM tensor** via a **Chern-Simons** coupling.

Ni (1977); Turner & Widrow (1988)

the effective Lagrangian for axion electrodynamics is

$$\mathcal{L} = -\frac{1}{2}\partial_\mu\theta\partial^\mu\theta - \frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \underbrace{g_a\theta F_{\mu\nu}\tilde{F}^{\mu\nu}}_{\text{Chern-Simons term}}, \quad (3.7)$$

$\tilde{F}^{\mu\nu} = \sum_{\alpha\beta} \frac{\epsilon^{\mu\nu\alpha\beta}}{2\sqrt{-g}} F_{\alpha\beta}$

where  $g_a$  is a coupling constant of the order  $\alpha$ , and the vacuum angle  $\theta = \phi_a / f_a$  ( $\phi_a =$  axion field). The equations

- The axion can be **dark matter** or **dark energy**, which act as a “birefringence material” filling in our Universe

# Introduction to Cosmic Birefringence

$$\mathcal{L} = -\frac{1}{2}\partial_\mu\theta\partial^\mu\theta - \frac{1}{4}F_{\mu\nu}F^{\mu\nu} + g_a\theta F_{\mu\nu}\tilde{F}^{\mu\nu}$$

$$\sum_{\mu\nu} F_{\mu\nu}\tilde{F}^{\mu\nu} = -4\mathbf{B}\cdot\mathbf{E}$$

**Parity Odd**

The Equation of Motion modified to

$$(-\omega_\pm^2 + k^2) A_\pm(\eta) = 0 \quad \longrightarrow \quad (-\omega_\pm^2 + k^2 \pm 4g_a k\theta') A_\pm(\eta) = 0$$

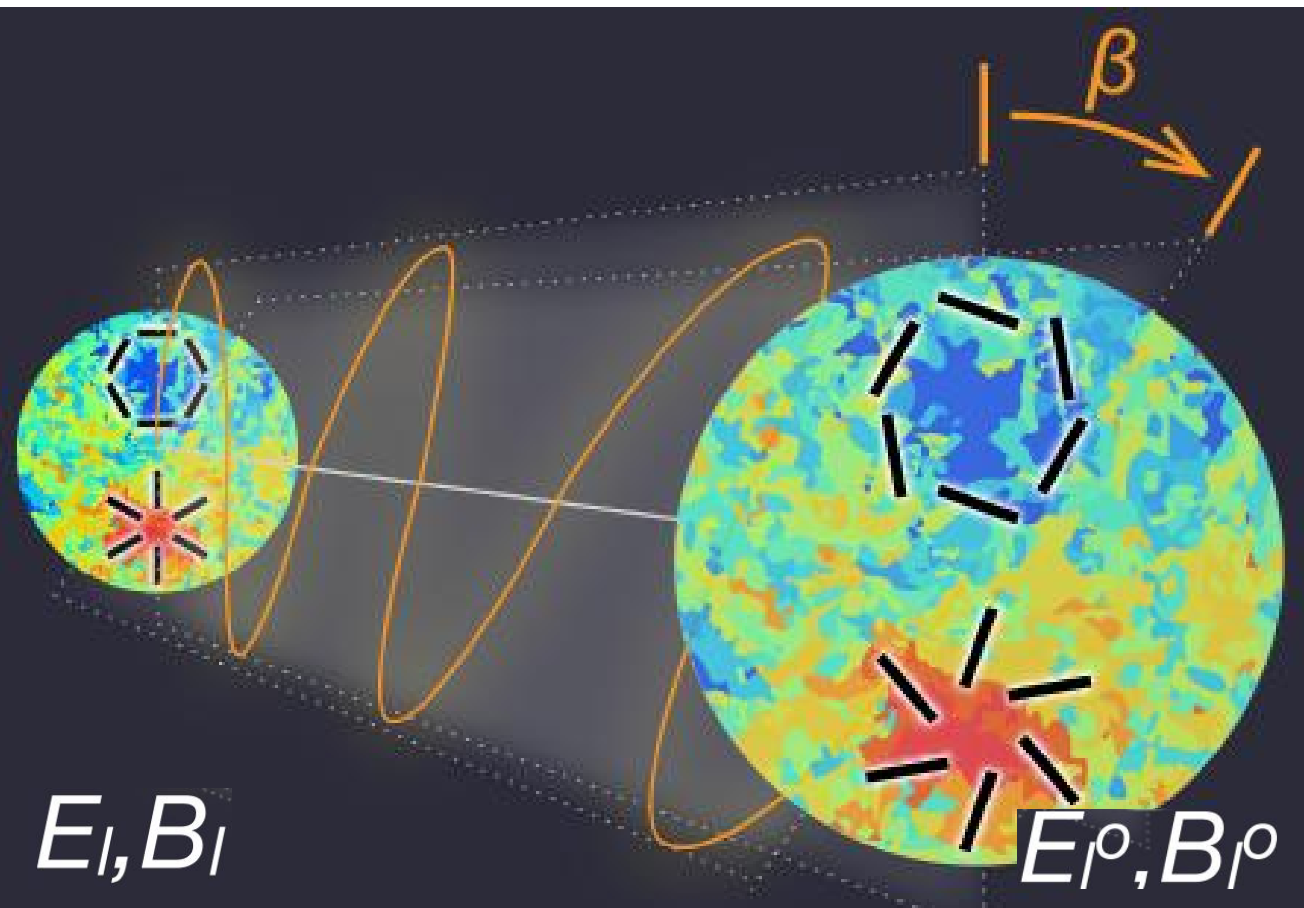
Different phase velocities for RH(+) and LH(-) photon polarizations

$$\frac{\omega_\pm}{k} \simeq 1 \pm \frac{2g_a\theta'}{k}$$

# Introduction to Cosmic Birefringence

Carroll, Field & Jackiw (1990); Carroll & Field (1991); Harari & Sikivie (1992)

- CB rotation angle  $\beta = -2g_a \int_{t_{emitted}}^{t_{obs}} dt \dot{\theta} = 2g_a [\theta(t_e) - \theta(t_o)]$



E-B mixing by rotation of the linear polarization plane in CMB

$$E_\ell^o = E_\ell \cos(2\beta) - B_\ell \sin(2\beta)$$

$$B_\ell^o = E_\ell \sin(2\beta) + B_\ell \cos(2\beta)$$

$$E_\ell^o \pm iB_\ell^o = (E_\ell \pm iB_\ell)e^{\pm 2i\beta}$$



# Cosmic Birefringence in the CMB

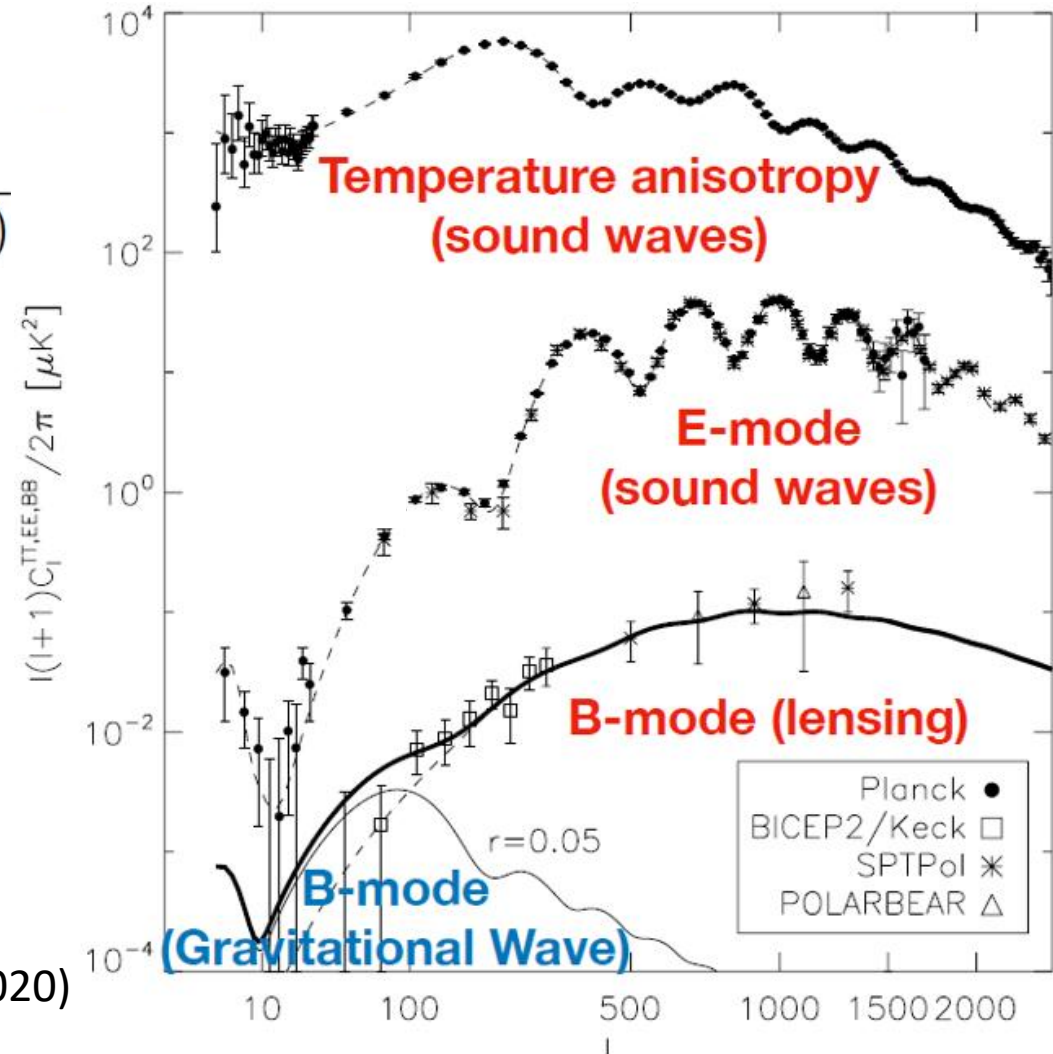
$\langle E^*B \rangle$  correlation measures  $\beta$

$$\begin{aligned} C_\ell^{EB, \text{obs}} &= \frac{1}{2} (C_\ell^{EE} - C_\ell^{BB}) \sin(4\beta) + C_\ell^{EB} \cos(4\beta) \\ &= \frac{1}{2} (C_\ell^{EE, \text{obs}} - C_\ell^{BB, \text{obs}}) \tan(4\beta) + \frac{C_\ell^{EB}}{\cos(4\beta)} \end{aligned}$$

EB is generated by the difference between EE and BB spectra

If  $\beta = 0$ , the  $C_l^{EB} = 0$ , EB power spectra is 0.

Planck Collaboration Int. LVII,  
Astron. Astrophys. 643, A42 (2020)



# Cosmic Birefringence in the CMB

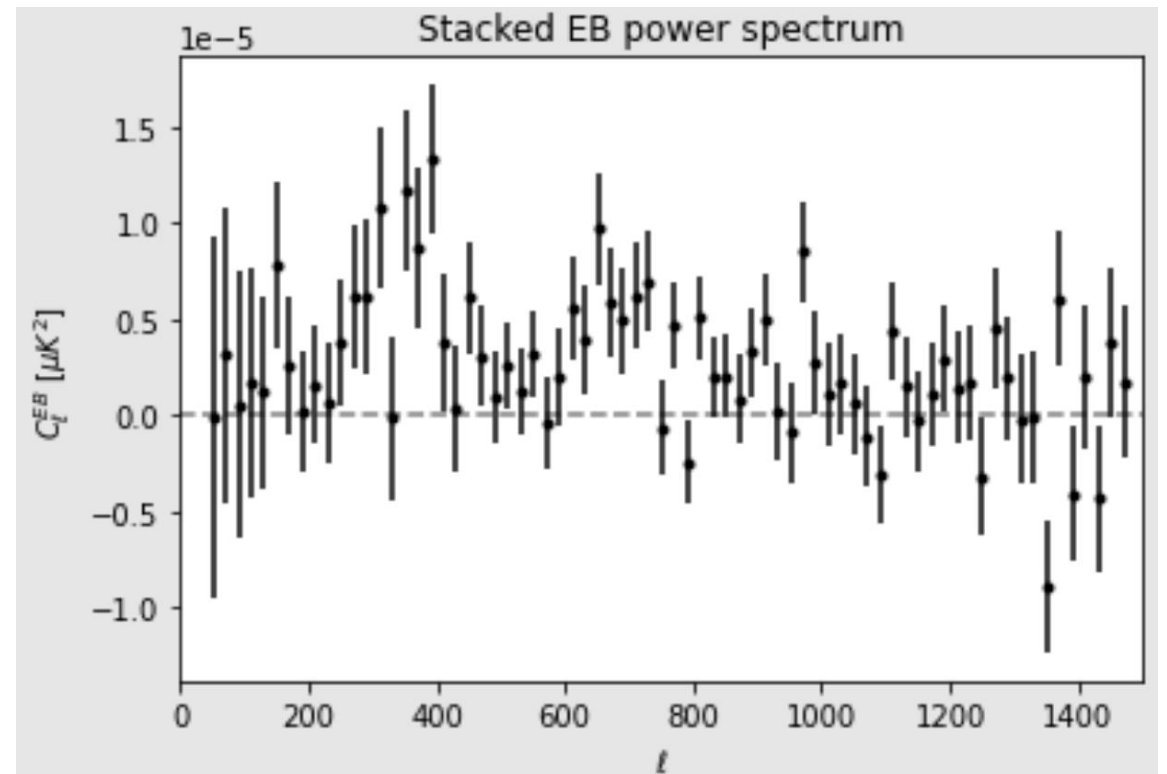
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Observed EB Power Spectrum of the High Frequency Instrument of Planck

If  $\beta = 0$ , the  $C_\ell^{EB} = 0$ .

J. R. Eskilt et al. (2023)  
Planck Collaboration Int. LVII,  
Astron. Astrophys. 643, A42 (2020)



Important question:  
Is Cosmic Birefringence  
model-dependent ?



# Cosmic Birefringence from Early Dark Energy

The pseudoscalar fields of early dark energy

$$\mathcal{L} = -\frac{1}{2} (\partial_\mu \phi)^2 - \underset{\uparrow}{V(\phi)} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} g \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$

$$V_{\text{EDE}}(\phi) = m^2 f^2 [1 - \cos(\phi/f)]^n$$

Early Dark Energy model

V. Poulin et al. (2018)

$$V_{\text{R\&R}}(\phi) = V_0 \left( \frac{\phi}{M_{\text{Pl}}} \right)^{2n}$$

Roll 'n' Roll model

P. Agrawal et al. (2019)

$$V_\alpha(\phi) = V_0 \frac{(1 + \alpha_2)^{2n} \tanh(\phi/\sqrt{6\alpha_1} M_{\text{Pl}})^{2p}}{[1 + \alpha_2 \tanh(\phi/\sqrt{6\alpha_1} M_{\text{Pl}})]^{2n}}$$

$\alpha$ -attractor model

M. Braglia et al. (2020)

# Cosmic Birefringence from Early Dark Energy

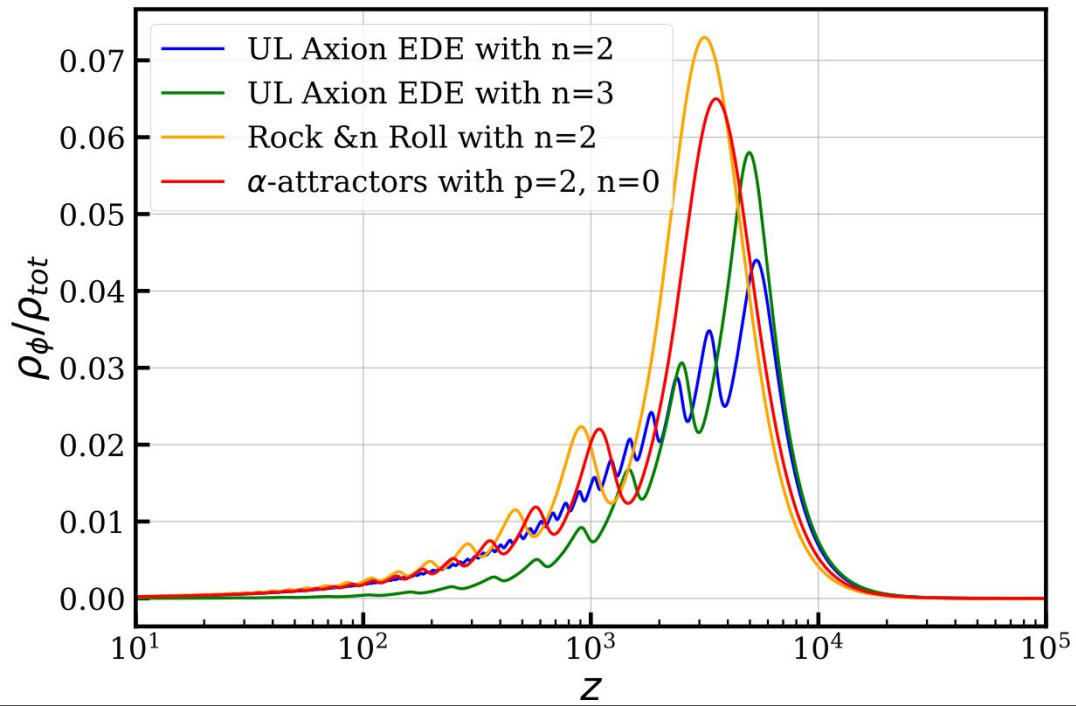
The pseudoscalar fields of early dark energy

$$\mathcal{L} = -\frac{1}{2} (\partial_\mu \phi)^2 - V(\phi) - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} g \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$



$$V_{\text{EDE}}(\phi) = m^2 f^2 [1 - \cos(\phi/f)]^n \quad V_{\text{R\&R}}(\phi) = V_0 \left( \frac{\phi}{M_{\text{Pl}}} \right)^{2n}$$

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# Cosmic Birefringence from Early Dark Energy

The pseudoscalar fields of early dark energy

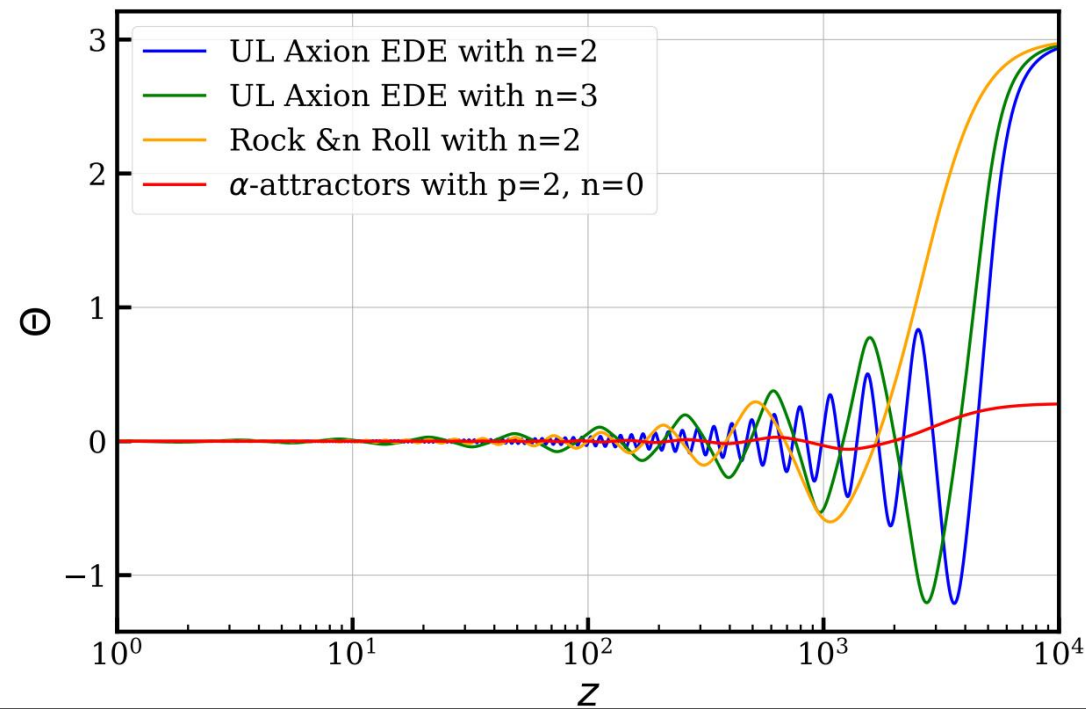
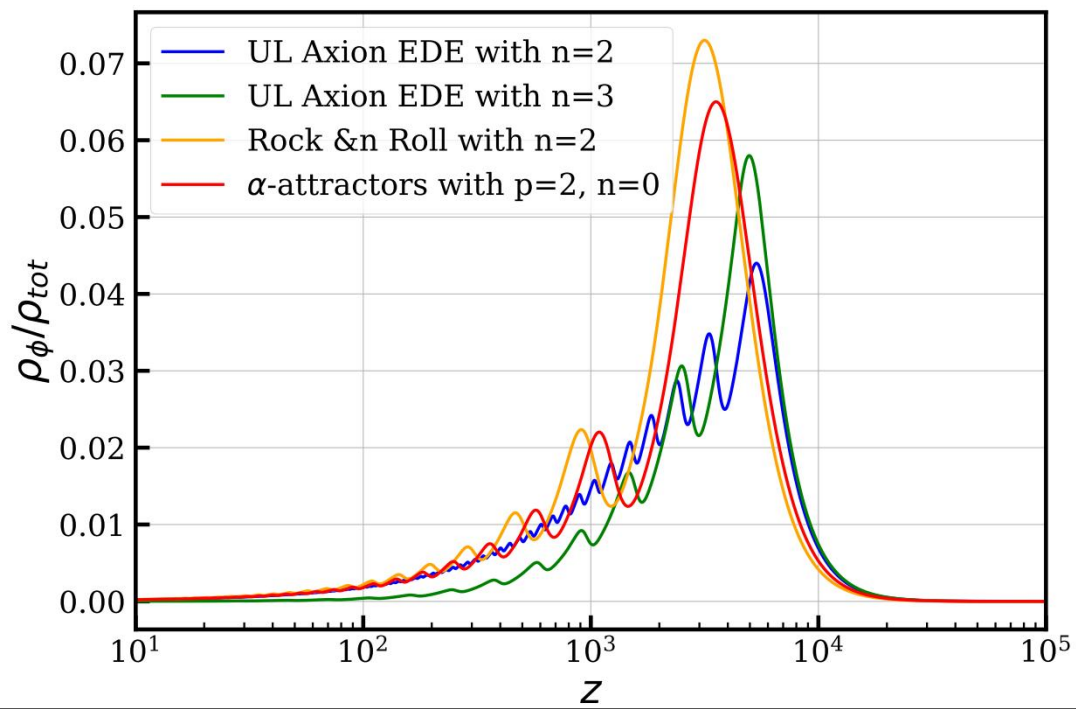
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$$\Theta_\alpha \equiv \phi / (\sqrt{6\alpha_1} M_{\text{pl}})$$

$$V_{\text{EDE}}(\phi) = m^2 f^2 [1 - \cos(\phi/f)]^n$$

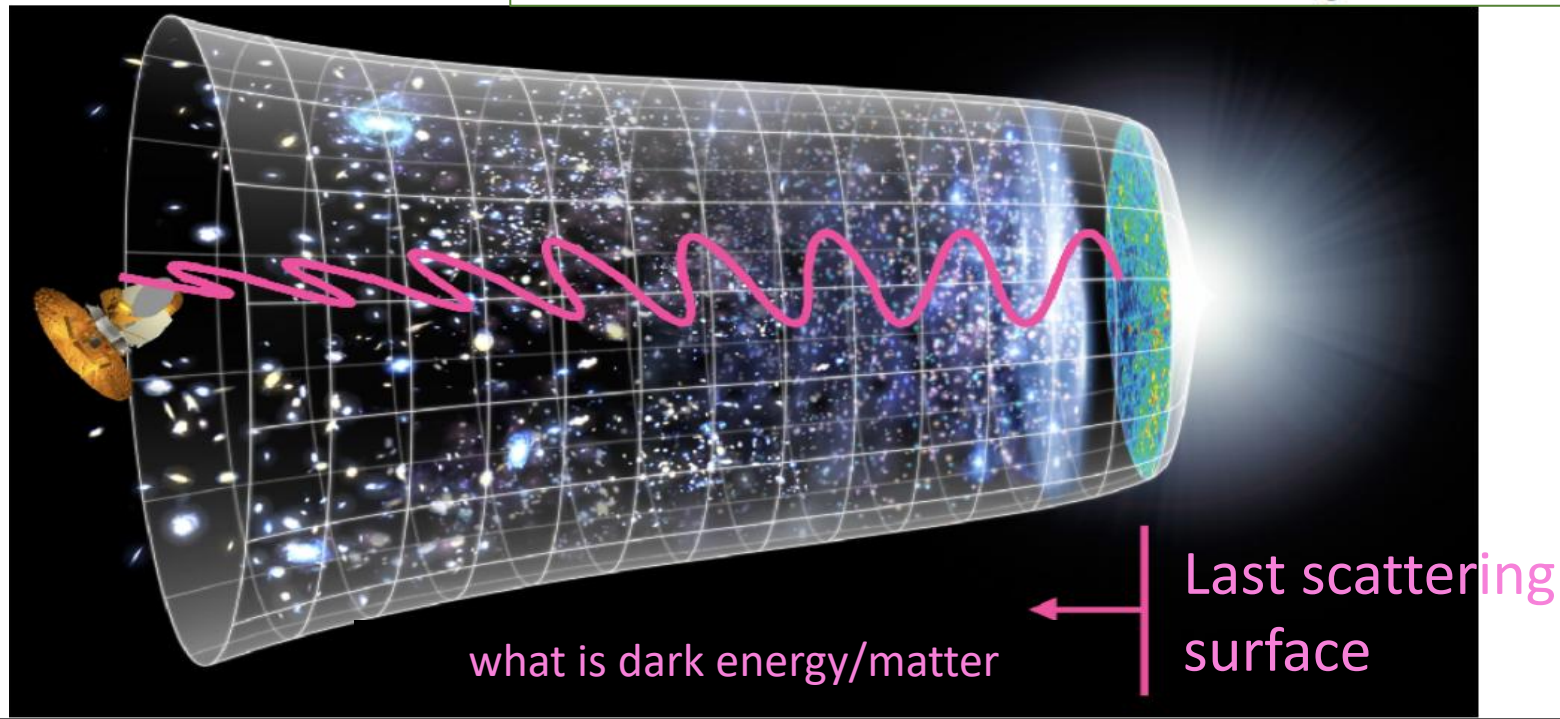
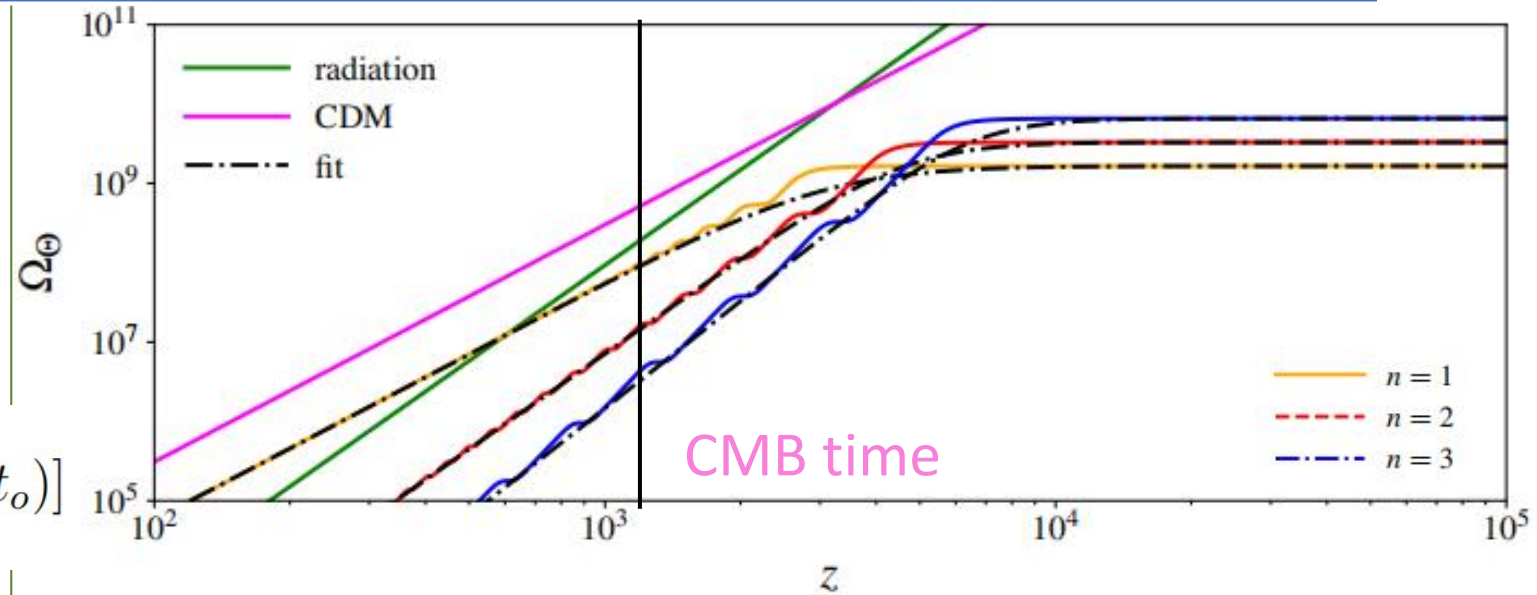
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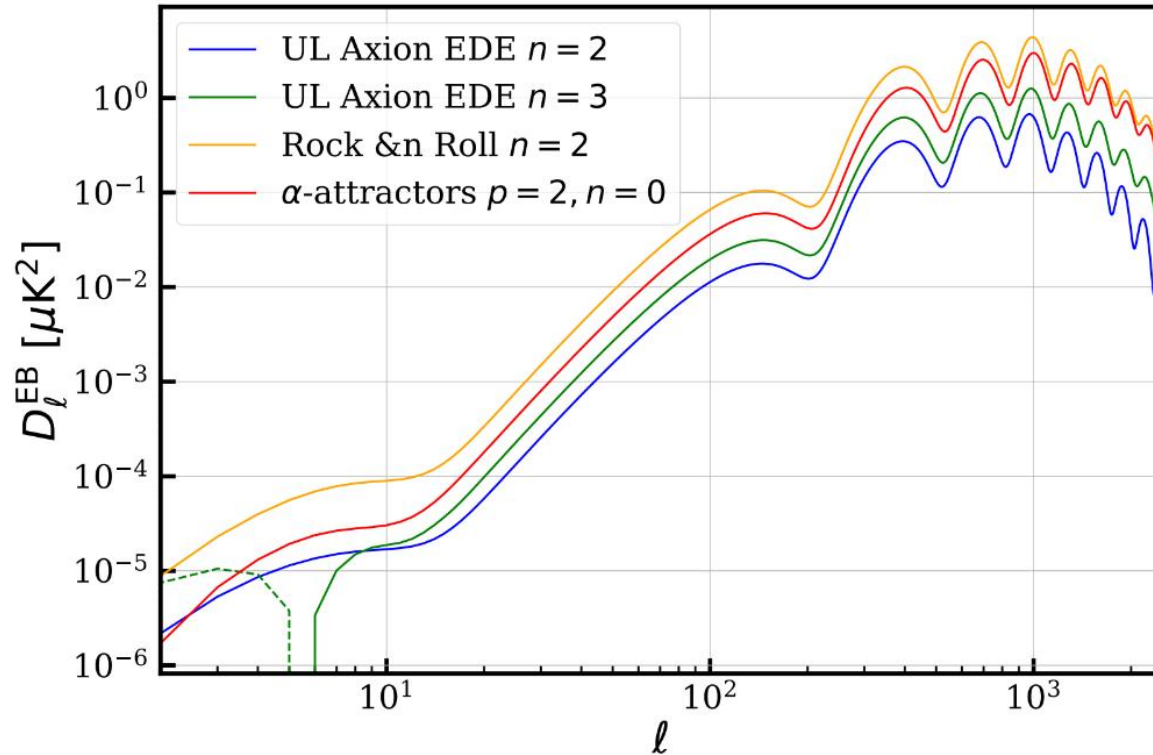
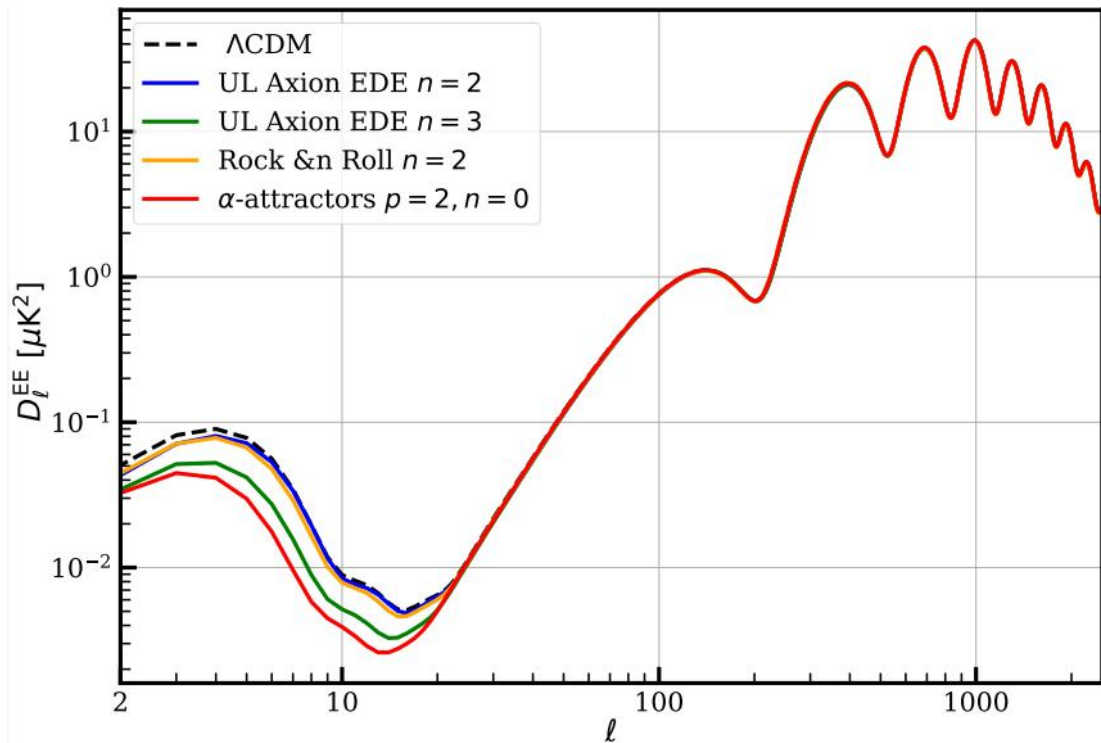
# Cosmic Birefringence from Early Dark Energy

$$\beta = -2g_a \int_{t_{emitted}}^{t_{obs}} dt \dot{\theta} = 2g_a [\theta(t_e) - \theta(t_o)]$$





# Difference in EE and EB power spectra



gM\_PI=1

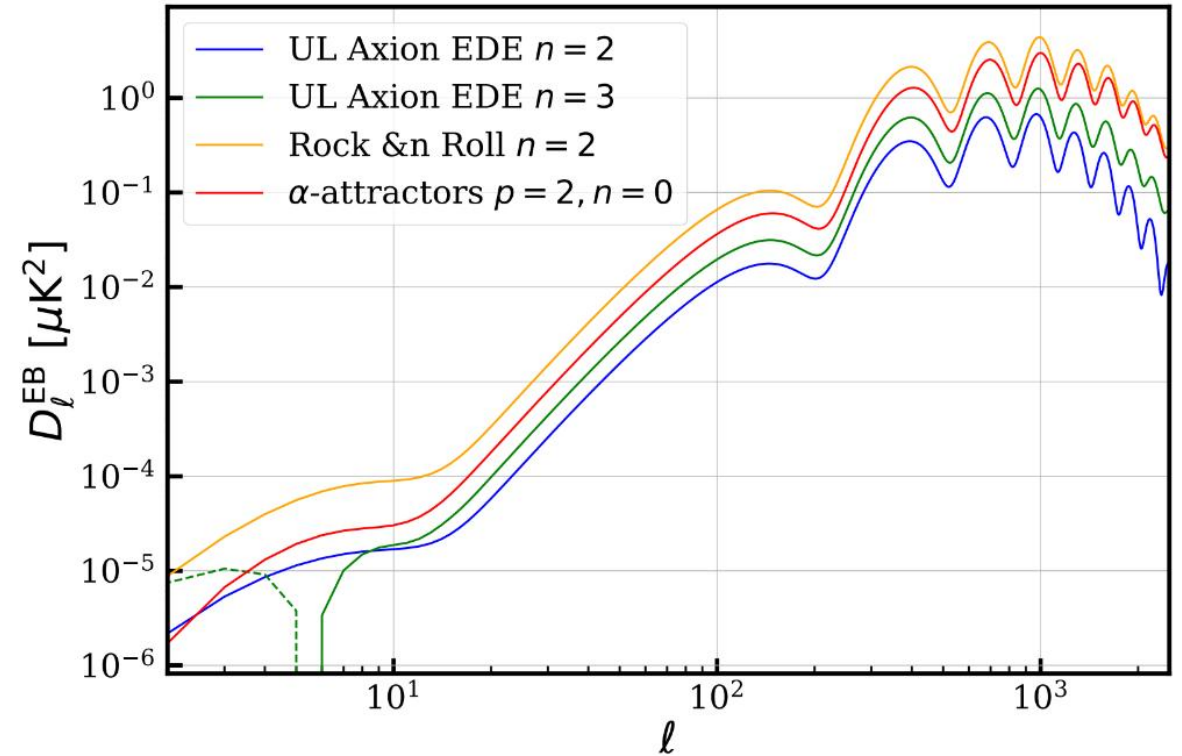
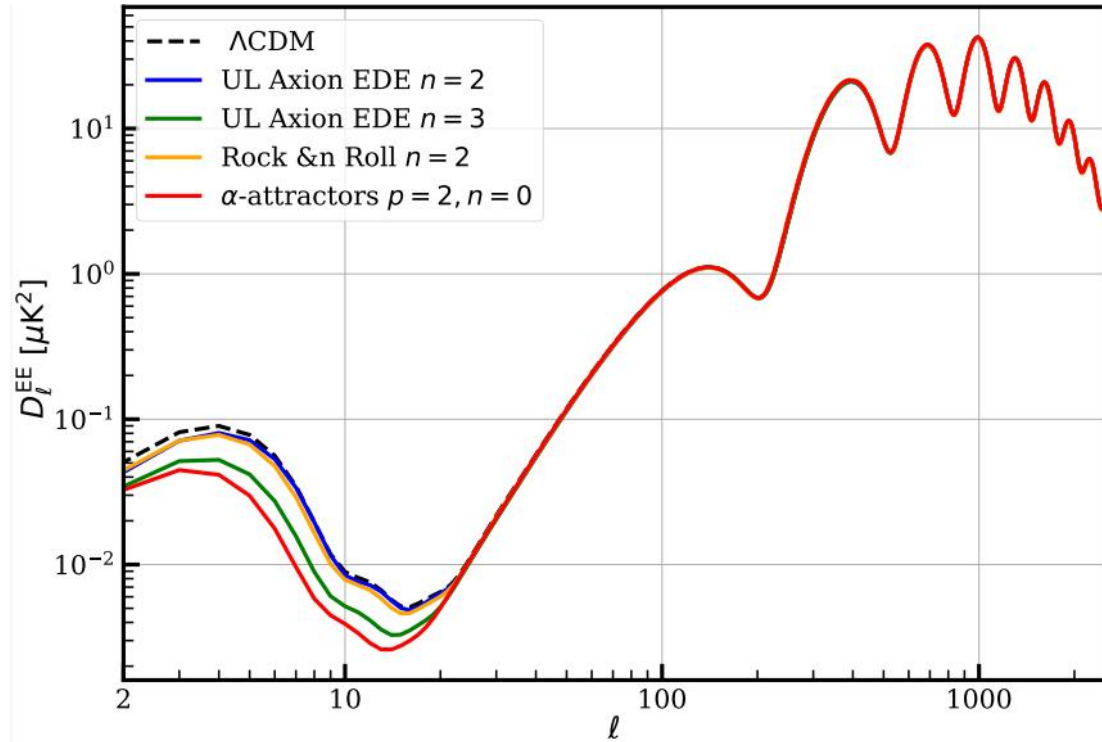
$$\beta(t) = -\frac{1}{2} \int_t^{t_0} d\tilde{t} (\omega_+ - \omega_-) = \frac{g}{2} [\phi(t_0) - \phi(t)]$$

$$\pm 2\Delta_{P,l}(\eta_0, q) = -\frac{3}{4} \sqrt{\frac{(l+2)!}{(l-2)!}} \int_0^{\eta_0} d\eta \tau' e^{-\tau(\eta)} \Pi(\eta, q) \times \frac{j_l(x)}{x^2} \boxed{e^{\pm 2i\beta(\eta)}},$$

new term

$$C_\ell^{XY} = 4\pi \int d(\ln q) \mathcal{P}_s(q) \Delta_{X,l}(q) \Delta_{Y,l}(q),$$

# Difference in EE and EB power spectra

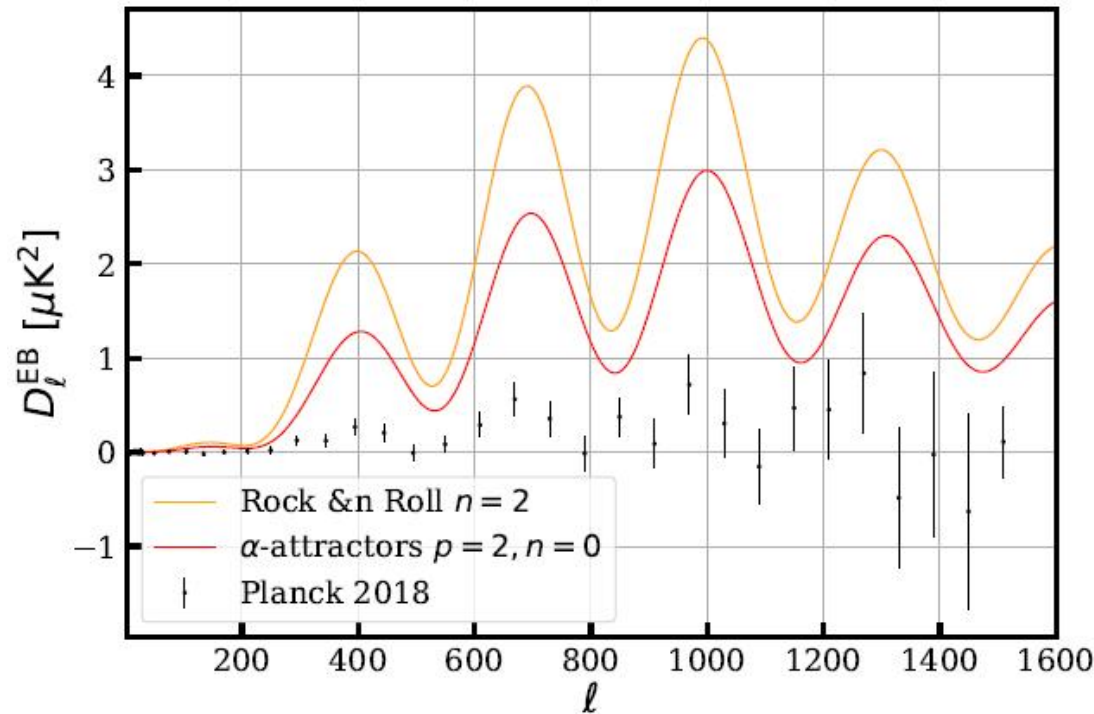


gM\_Pl=1

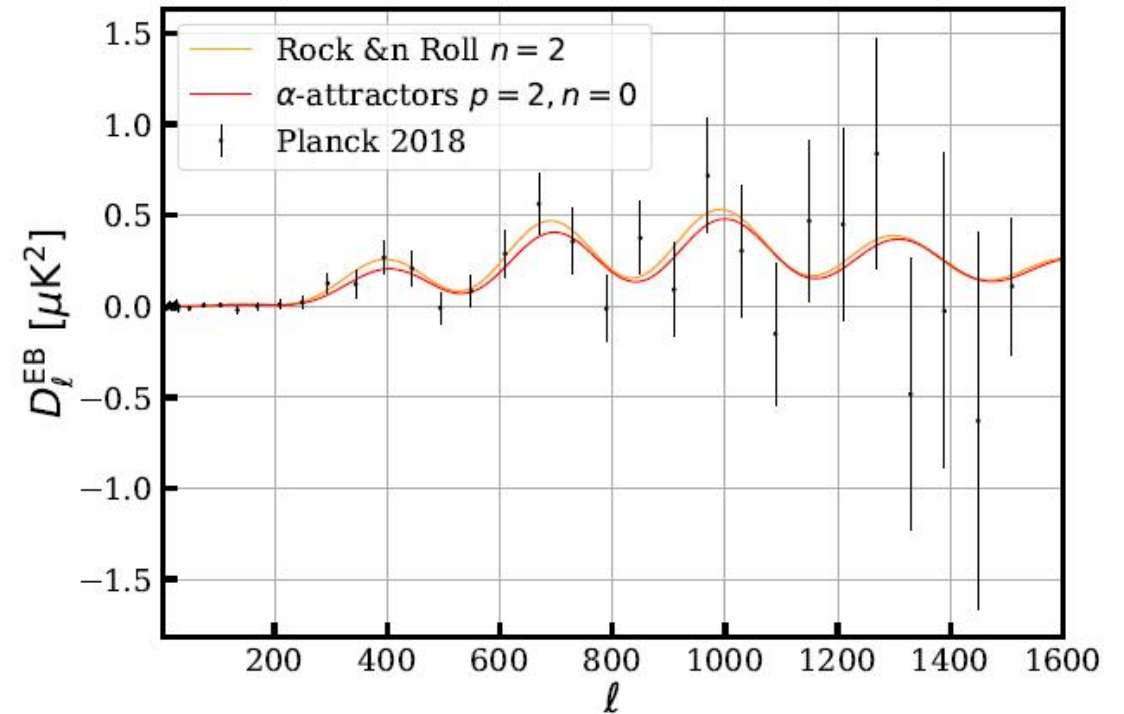
EB power spectra is an important smoking gun for different early dark energy models, beyond the EE spectra



# Best fit results form Planck observation



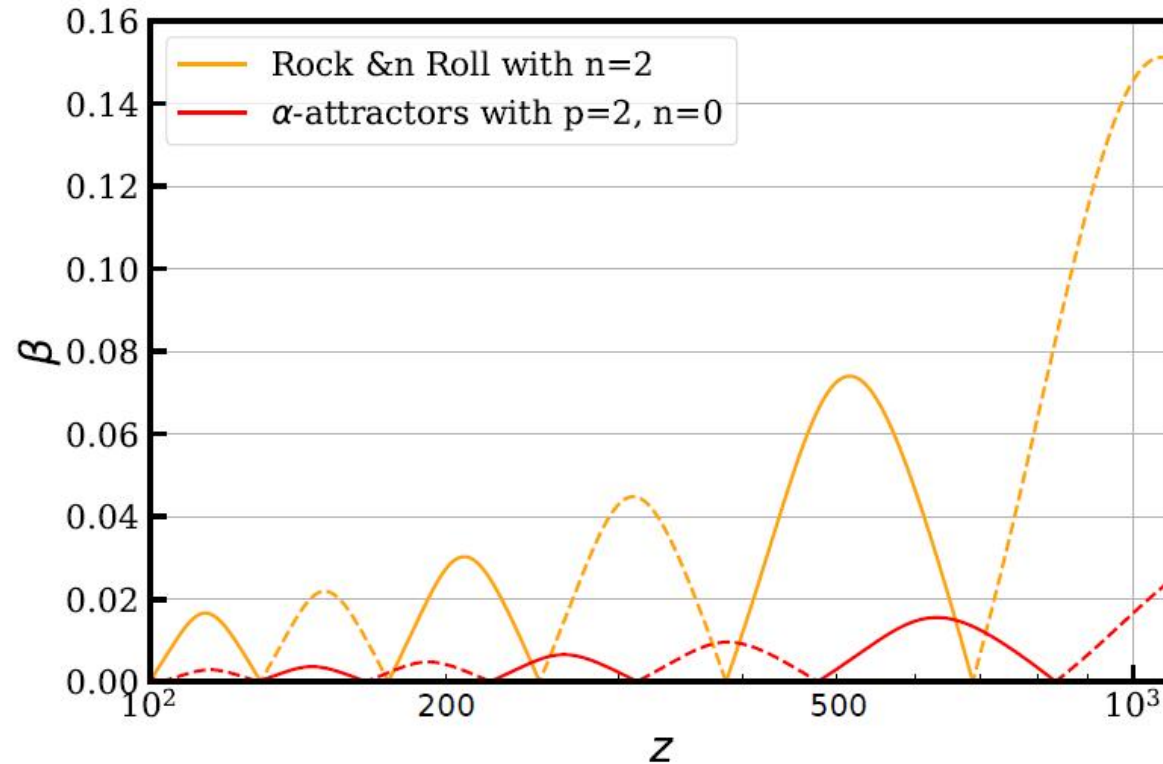
$gM_{Pl}=1$



1. value of **Chern-Simons term** is **model-dependent**
2. current data **can not distinguish** the two models

Parameter	$\Lambda$ CDM	$\alpha$ -attractor	Rock 'n' Roll
$gM_{Pl}$	0	0.16	0.12
$\beta$ at CMB	0	$0.02^\circ$	$0.15^\circ$

# The rotation of the plane results from best fit of $g$



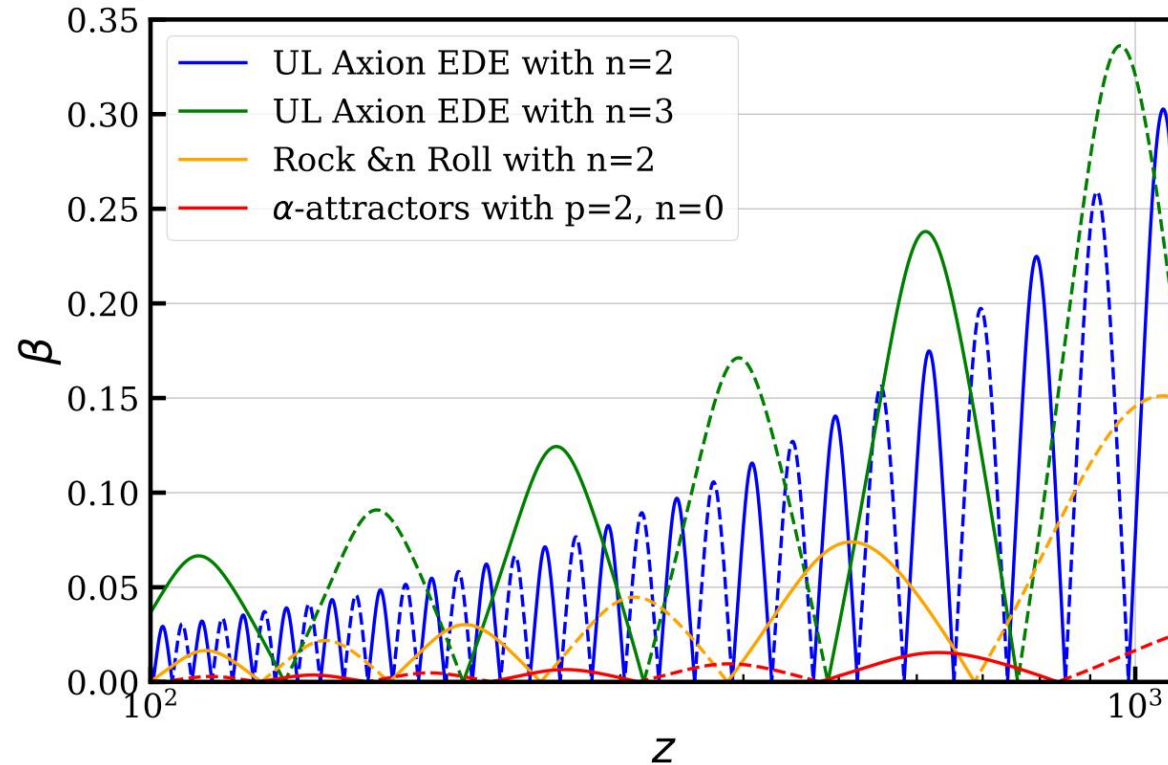
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The value of  $g$  is model dependent.

Moreover, the rotation angle  $\beta$  is also highly model dependent.

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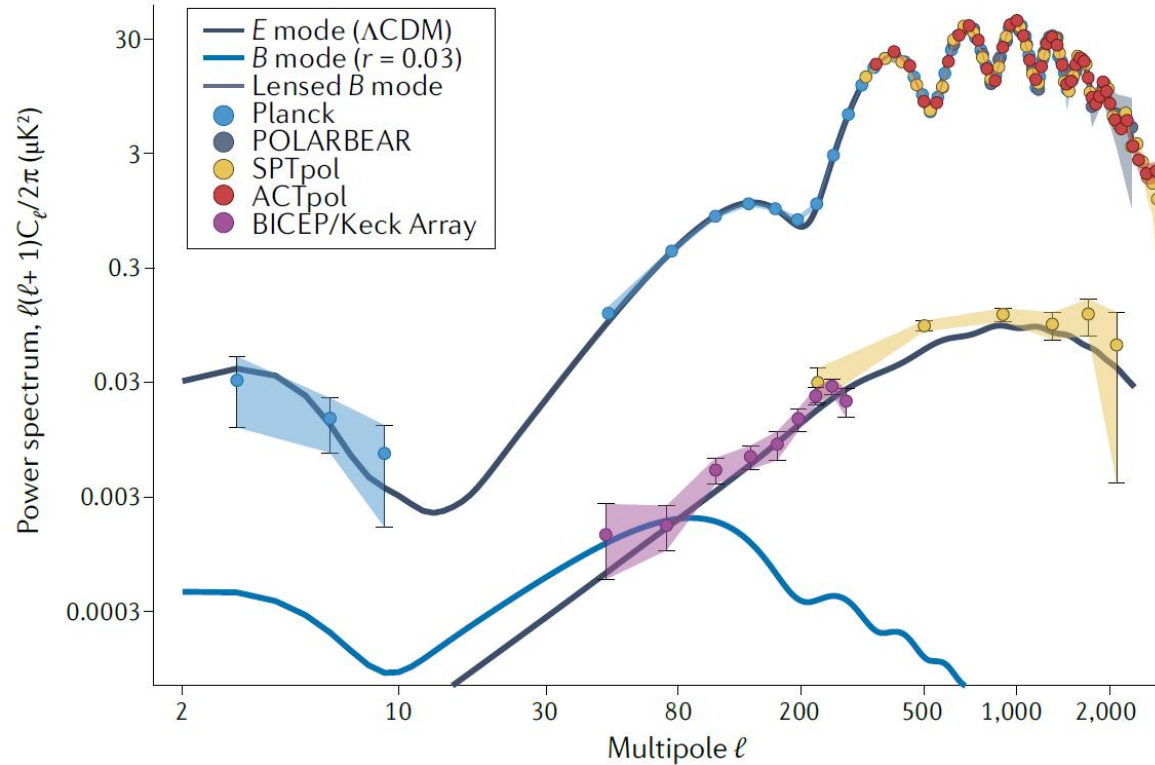
# Conclusions

- **Cosmic Birefringence** is a remarkable **parity-violating** effect, which is beyond the standard cosmology prediction;
- Recently, new breakthrough in CMB data analysis leads to a hint towards a nonzero CB rotation angle,  $\beta = 0.34 \pm 0.09 \text{ deg}$  (68%CL; nearly full sky)
- We studied EB mode of Rock `n' Roll, and  $\alpha$ -attractor scalar models for the **first time**. The value of **g is model dependent**. Moreover, the **rotation angle  $\beta$**  is also **highly model dependent**.
- The **EB spectra alone** can **not distinguish** the two models based on current data. It is an important smoking gun for different early dark energy models, **beyond the EE spectra**.

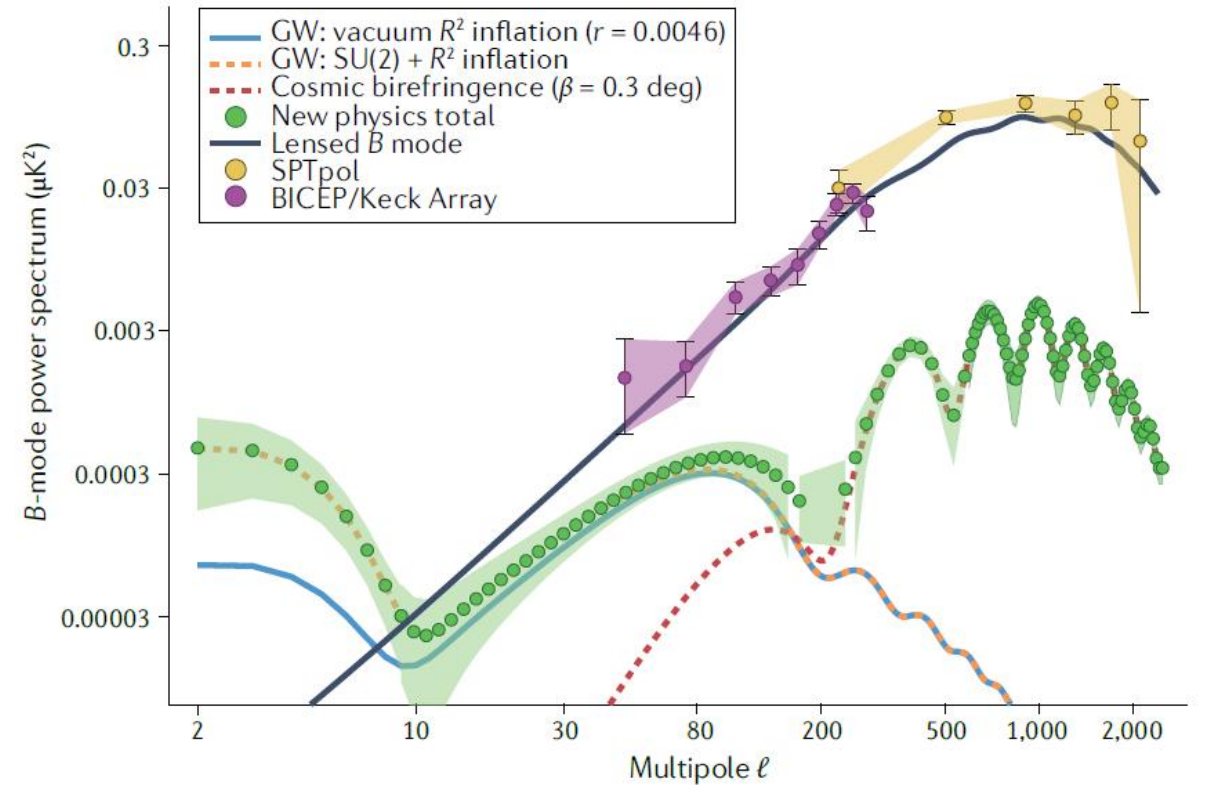
Thank you



# Accuracy of CMB Power Spectrum Observation



CMB power spectra



B mode to test the primordial gravitational wave